Title: Flash Talks - 1 min, 1 slide

Speakers:

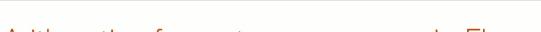
Collection/Series: QIQG 2025

Subject: Quantum Gravity, Quantum Information

Date: June 25, 2025 - 12:20 PM

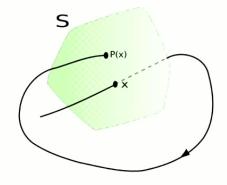
URL: https://pirsa.org/25060094

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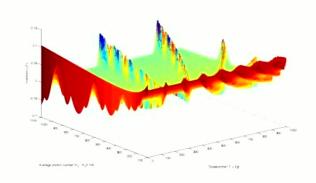
Arithmetic of quantum recurrence in Floquet systems Amit Anand, Dinesh Valluri, Jack Davis, and Shohini Ghose

Poincare recurrence



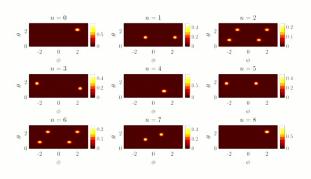
http://en.wikipedia.org/wiki/File:Poincare_map.svg

Quantum recurrence



A. A Karatsuba and E. A Karatsuba 2009 J. Phys. A: Math. Theor. 42 195304

Exact quantum recurrence



Phys. Rev. Research 6, 023120





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Following the state of an evaporating charged black hole into the quantum gravity regime (arXiv:2503.02051)

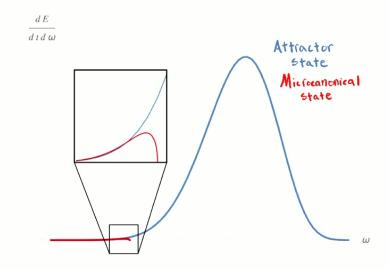
It was recently understood that quantum gravity effects modify the Hawking evaporation rates of near-extremal black holes.¹

Therefore, they also affect how the black hole state evolves toward extremality.

We study the energy probability density P(E, t) of charged black holes in the very low temperature regime where quantum gravity (Schwarzian) corrections are important.

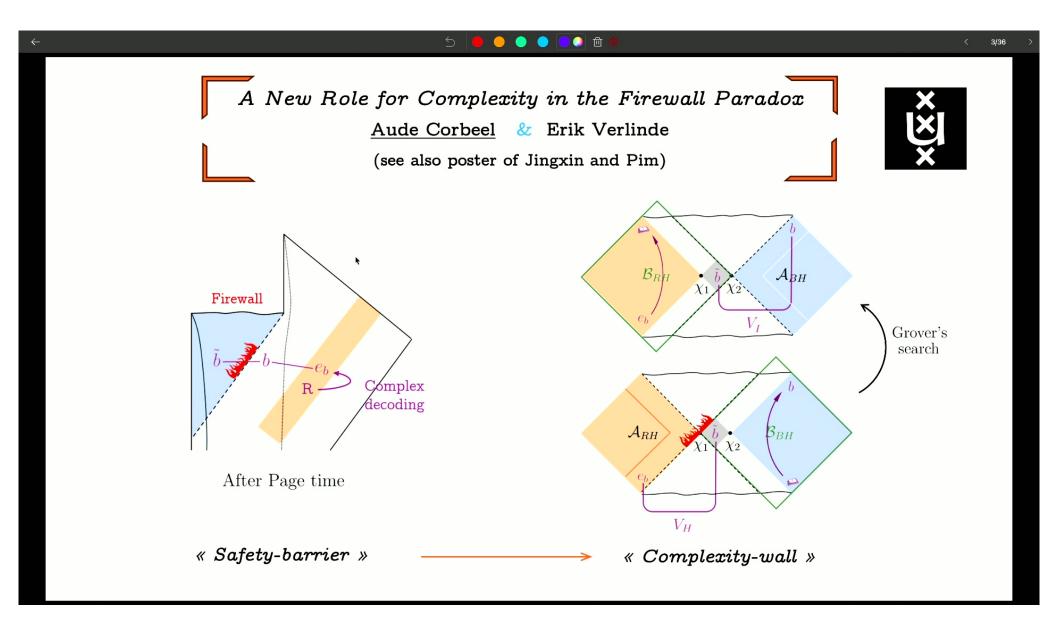
We find that P(E, t) evolves toward a non-thermal, universal function at long times.

Hawking fluxes calculated in this attractor state can be much larger than those in a microcanonical state with the same expected energy.



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¹Brown et al. 2024; Maulik, Meng, and Pando Zayas 2025.

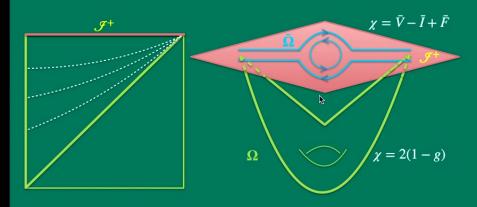


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A Complex Proposal for Holographic Cosmology

Complex 't Hooftian Gauge Theory Duals to Flat FLRW Cosmologies



$$Z_{\mathsf{CFT}}[\varphi] \equiv \Psi[\varphi] = \exp\left(-\sum_{n=2}^{\infty} \left[\prod_{a=1}^{n} \int \mathrm{d}^{d}\mathbf{x}_{a} \, \varphi(\mathbf{x}_{a})\right] \psi_{n}(\mathbf{x}_{1}, ..., \mathbf{x}_{n})\right),$$

where
$$\psi_n(\mathbf{x}) \equiv \psi_n(\mathbf{x}_1, ..., \mathbf{x}_n) = \langle \mathcal{O}(\mathbf{x}_1) \cdots \mathcal{O}(\mathbf{x}_n) \rangle = -\frac{\delta^n \log \Psi[\varphi]}{\delta \varphi_{\mathbf{x}_1} \cdots \delta \varphi_{\mathbf{x}_n}} \bigg|_{\varphi = 1}$$

Bulk unitary time evolution, $U^{\dagger}U = 1 \implies RR$

RR:
$$\left[\psi_n(\mathbf{x};\Omega)\right]^* = \psi_n(-e^{i\pi}\mathbf{x};e^{-i\pi}\Omega).$$

Suppose boundary theory at \mathscr{F}^+ is a U(N) gauge theory with adjoint representations on the boundary and 't Hooft coupling $\lambda=g^2N$

$$I = \frac{N}{\lambda} \int d^d x \operatorname{tr}(\dots) .$$

If this admits a string-theoretic bulk dual, its perturbative expansion corresponds to a genus expansion in the worldsheet topology.

In the 't Hooft limit ($\lambda\gg 1$ fixed, $N\to\infty$), Feynman diagrams in double-line notation are weighted by N^χ , where $\chi=\bar V-\bar I+\bar F$, is the Euler characteristic. This matches the bulk string expansion, where each genus-g worldsheet contributes $g_s^{2(g-1)}$ with string coupling $g_s\sim 1/N$.

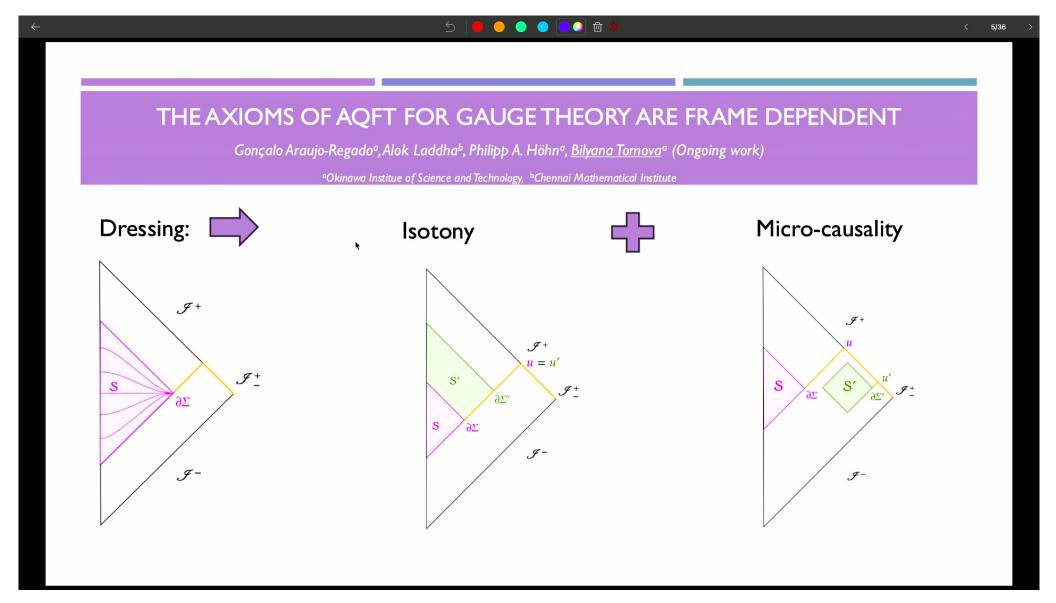
$$\begin{split} \mathbf{RR} & \Longrightarrow N \propto e^{\frac{i\pi}{4}(d-1+2m)}, \quad \lambda \propto e^{\frac{i\pi}{2}(d+2n)}, \\ & N^2 \propto e^{\frac{i\pi}{2}(d-1+2m)}, \quad g^2 \propto e^{\frac{i\pi}{4}(d+1+4n-2m)}, \quad \text{where } m,n \in \mathbb{Z} \,. \end{split}$$

$$\therefore \lambda \in \mathbb{R} \iff d \in 2\mathbb{Z}, \text{ but } N \in \mathbb{R} \iff d \in 2\mathbb{Z} + 1.$$

Hence, in holographic cosmology, **NO UNITARY** 't Hooftian theory is dual to a flat FLRW cosmology with bulk unitary time evolution!

Ayngaran Thavanesan (at735@cantab.ac.uk)

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More Holographic Scattering and Non-Minimal RT surfaces

Caroline Lima (with Jacqueline Caminiti and Robert C. Myers)

 How do the correlations between boundary degrees of freedom relate to the dynamics in the bulk?

 We look into bulk-only scattering processes in spinning conical defect and star geometries

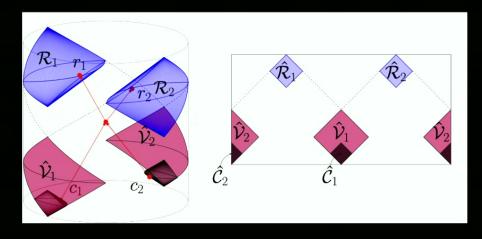


Figure extracted from A. May. Holographic quantum tasks with input and output regions. JHEP, 2021(8):55.

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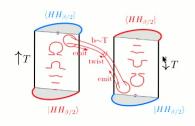
Chuanxin Cui

Firewalls in JT gravity with matter

[2412.1102]

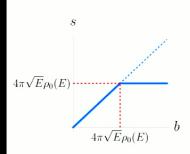
Saad's wormhole

 $T_{thouless} < T < T_H$

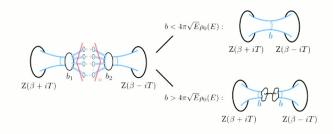


 $\mathcal{O}(T)$

Twist factor cutoff

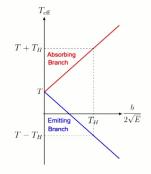


Baby universes ending on effective D-branes



$$\begin{split} \langle Z_B(b_1)Z_B(b_2)\rangle_n &\approx \frac{e^{i\sqrt{E}[(\pm)b_1+(\pm)'b_2]}}{b_1b_2} \int_{-\infty}^{\infty} d\omega e^{i\frac{\omega}{4\sqrt{E}}[(\pm)b_1-(\pm)'b_2]} \left(\delta(\omega)\rho_0(E) - \frac{\sin[\pi\rho_0(E)\omega]^2}{\pi^2\omega^2}\right) \\ &\approx \frac{\delta(b_1-b_2)}{b_1b_2} \min\left\{b_1, 4\pi\sqrt{E}\rho_0(E)\right\}. \end{split}$$

Effective time slice on handle disk

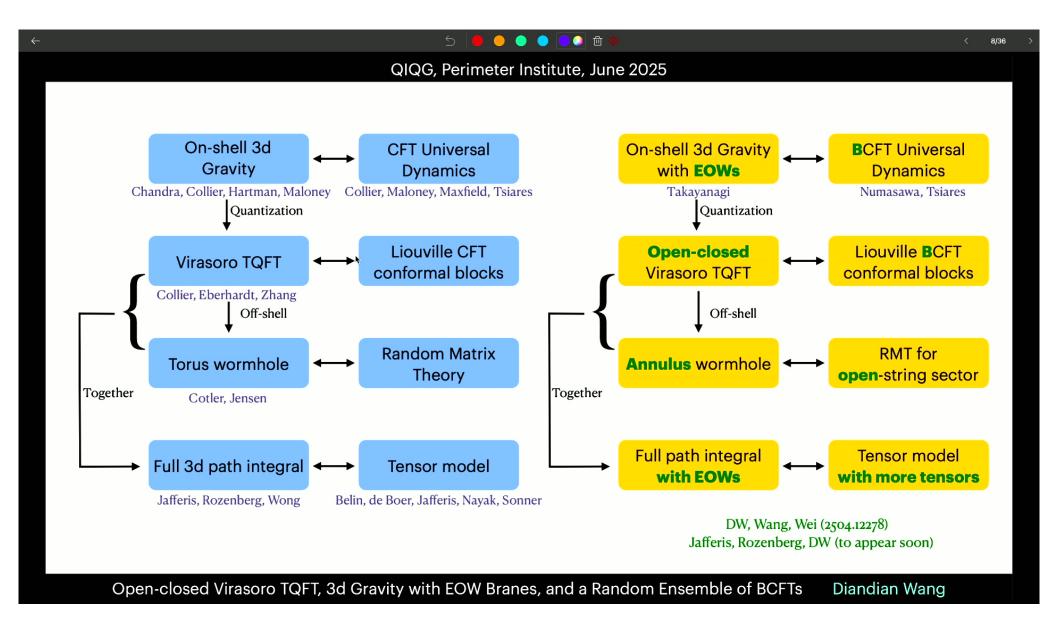


$$\label{eq:Formula} \textbf{For } \mathbf{T} < \mathbf{T_H}: \quad \mathcal{P}_{\mathrm{BH}}(T) = 1 - \frac{T}{T_H} + \frac{T^2}{2T_H^2},$$

$$\mathcal{P}_{ ext{WH}}(T) = rac{T}{T_H} - rac{T^2}{2T_H^2}$$

$$\mathbf{For} \ \mathbf{T} \geq \mathbf{T_H}: \quad \mathcal{P}_{\mathrm{BH}}(T) = \frac{1}{2}, \quad \mathcal{P}_{\mathrm{WH}}(T) = \frac{1}{2};$$





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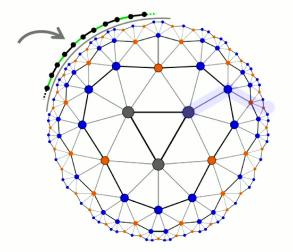


Dimitris Saraidaris and Alexander Jahn

Question:

Does the **boundary** of the $\{3,7\}$ -hyperbolic lattice describe a **continuous CFT**, as a result of its **geometry**?

- we simulate the boundary with a **free-fermionic** or an **interacting** Hamiltonian *H*
- we study the **critical** properties of the ground states of H



there is a **disorder regime** \rightarrow critical



in agreement to a ${\bf continuous}~{\bf CFT}$



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Dimitris Saraidaris and Leo Shaposhnik

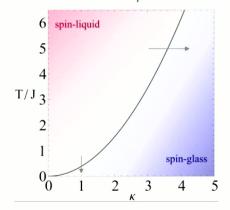
black hole bound states

the states of the s

spectral functions

diagnostics of duality

model with SL/SG transition



how does the spectral function behave as we adiabatically move deep into the spin glass phase??

indications of duality??



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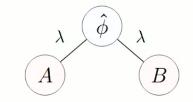
Causality in relativistic quantum interactions without mediators

Eirini Telali 1,2 T. Rick Perche 1,3,4 Eduardo Martín-Martínez 1,2,3,4

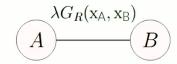
³Perimeter Institute for Theoretical Physics, Waterloo, Ontario, N2L 2Y5, Canada ²Department of Physics and Astronomy, University of Waterloo, Waterloo, Ontario, N2L 3G1, Canada ³Department of Applied Mathematics, University of Waterloo, Waterloo, Ontario, N2L 3G1, Canada ⁴Institute for Quantum Computing, University of Waterloo, Waterloo, Ontario, N2L 3G1, Canada



When are the quantum degrees of freedom of fields physically relevant?



(a) Indirect local coupling

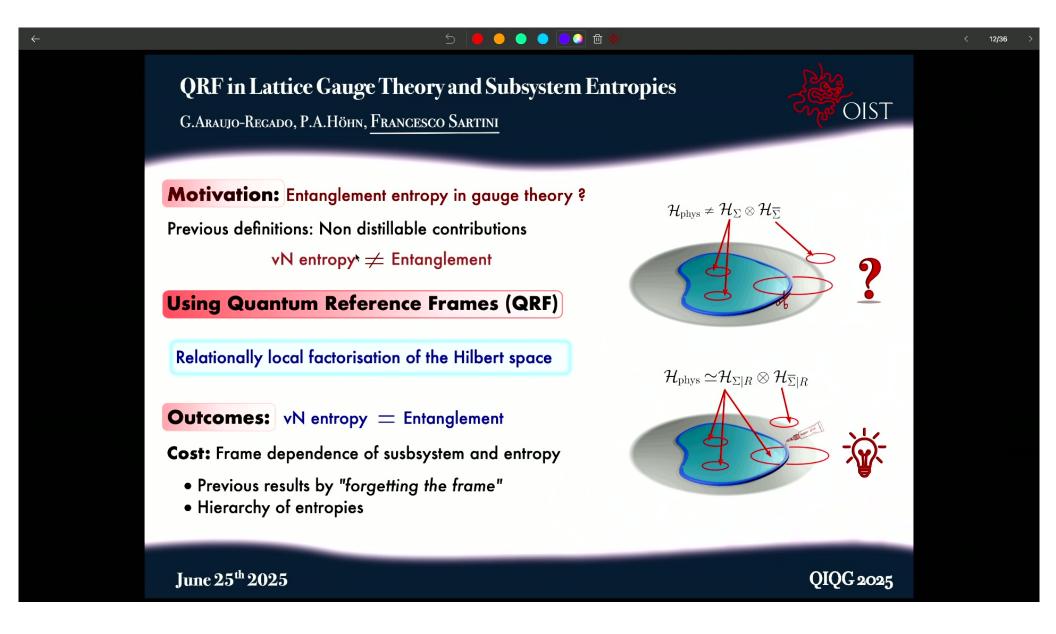


(b) Direct relativistic coupling

Quantum sources – Relativistic Quantum interaction - Classical fields

Lessons about Gravity Mediated Entanglement Experiments

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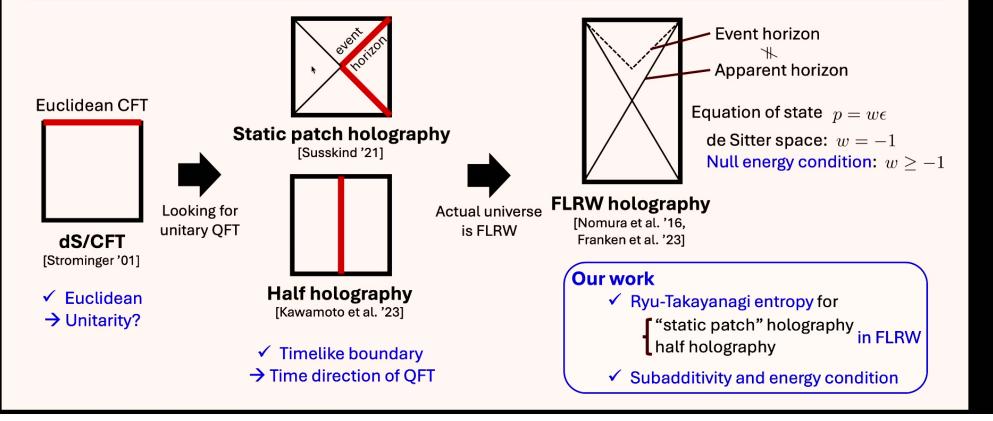
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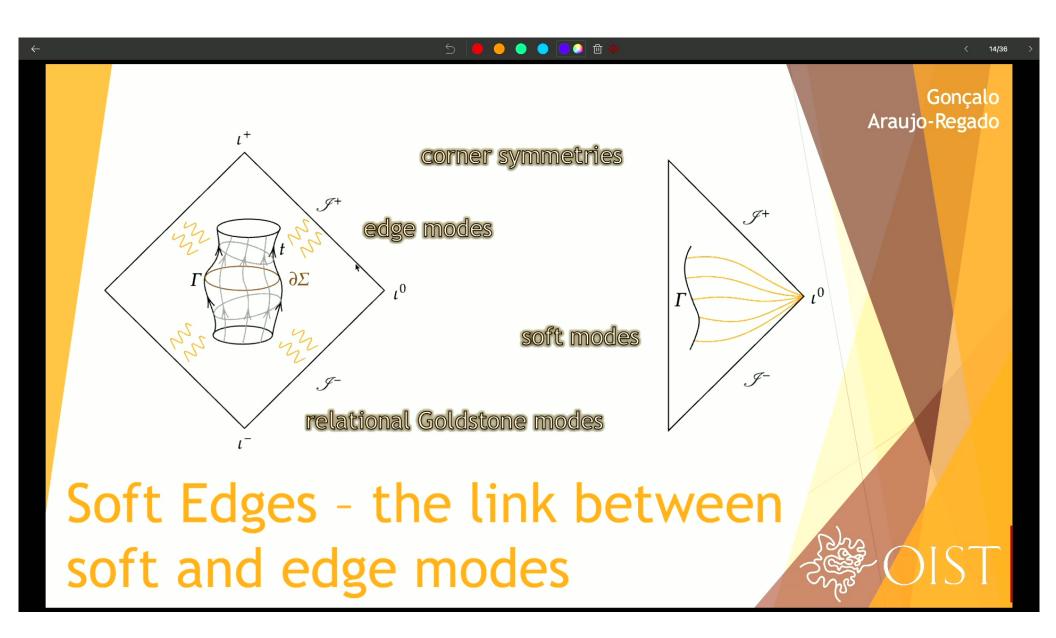
Holographic Entanglement Entropy in the FLRW Universe

2504.10457: Toshifumi Noumi (UTokyo), Fumiya Sano (ScienceTokyo, IBS), Yu-ki Suzuki (YITP)

Q. Holographic implication for our universe? — Holography for a given bulk theory?



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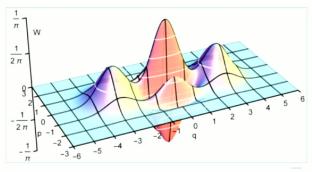
Magic as negativity of the Wigner distribution

• The Wigner distribution W(x, p) for a pure state is defined as:

$$W(x,p) \stackrel{ ext{def}}{=} rac{1}{\pi\hbar} \int_{-\infty}^{\infty} \psi^*(x+y) \psi(x-y) e^{2ipy/\hbar} \, dy$$

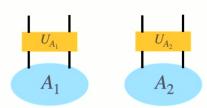
· Discrete version for qudits:

$$W_{\psi}(u) = rac{1}{d^n} \operatorname{Tr}(A_u \psi),$$
 $A_u = \sum_{v} P_u P_v P_u^{\dagger}$ $M(\psi) = \log(\sum_{u} |W_{\psi}(u)|)$



Wigner function of a quantum state (Copy from Wikipedia)

Non-local magic is a resource for gravitational back-reaction

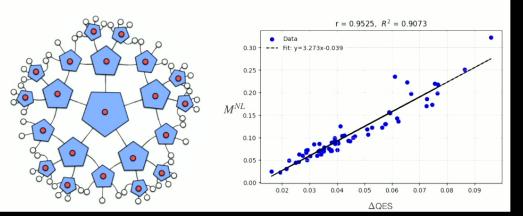


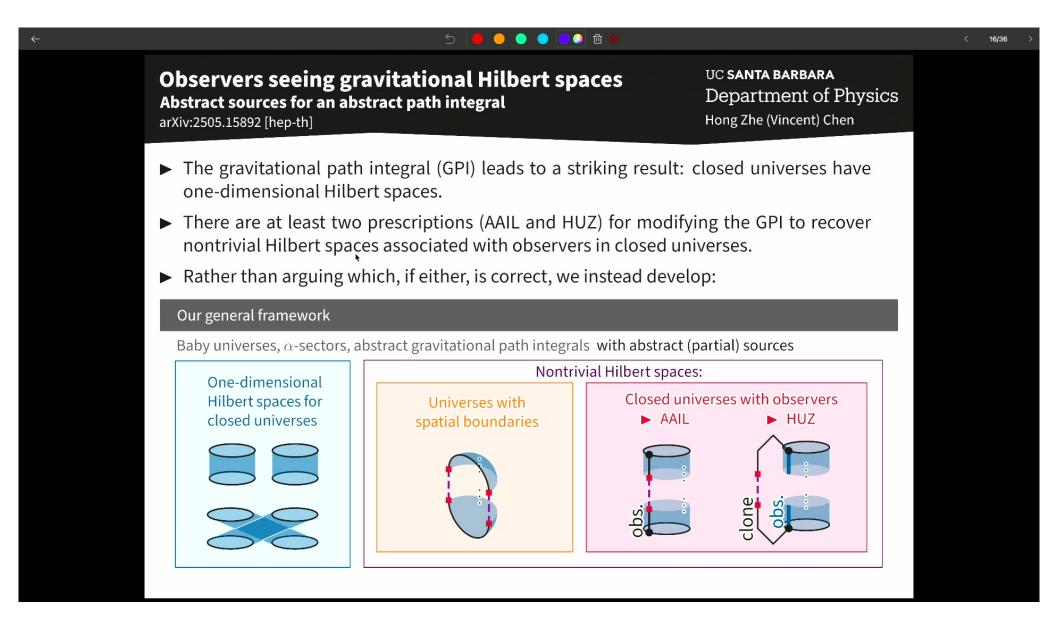
$$M^{(n-\mathrm{NL})}(\psi_{A_1...A_n}) := \min_{U=\bigotimes_{i=1}^n U_{A_i}} M(U\psi_{A_1...A_n}U^{\dagger}).$$

• For holographic CFT with $N \to \infty$, non-local magic by the area-tension susceptibility

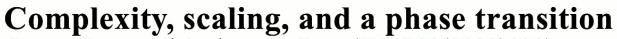
$$\frac{1}{8} \left| \frac{\partial \mathcal{A}}{\partial \mathcal{T}} \right|_{\mathcal{T} = \mathcal{T}_2} \le 4G^2 \mathcal{M}_2^{(NL)}(\psi_{AB}) \le \left| \frac{\partial \mathcal{A}}{\partial \mathcal{T}} \right|_{\mathcal{T} = 0}.$$

 For finite N, we consider a toy model of holography: the skewed HaPPY code





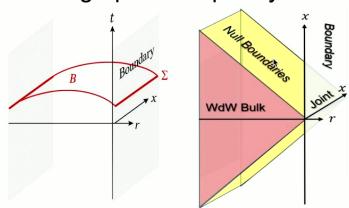
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IQC PI

Jiayue Yang, and Andrew R. Frey (JHEP09(2023)029)

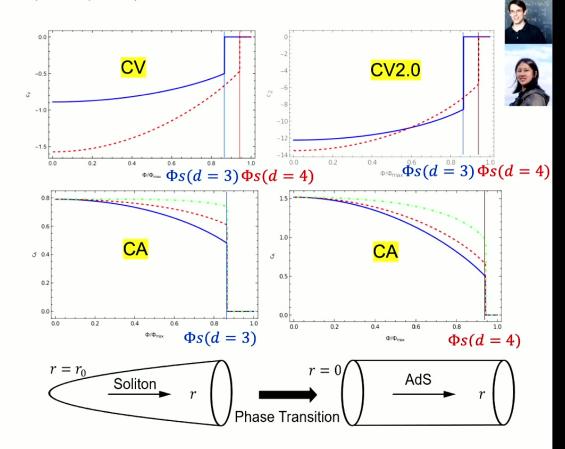
> Holographic complexity



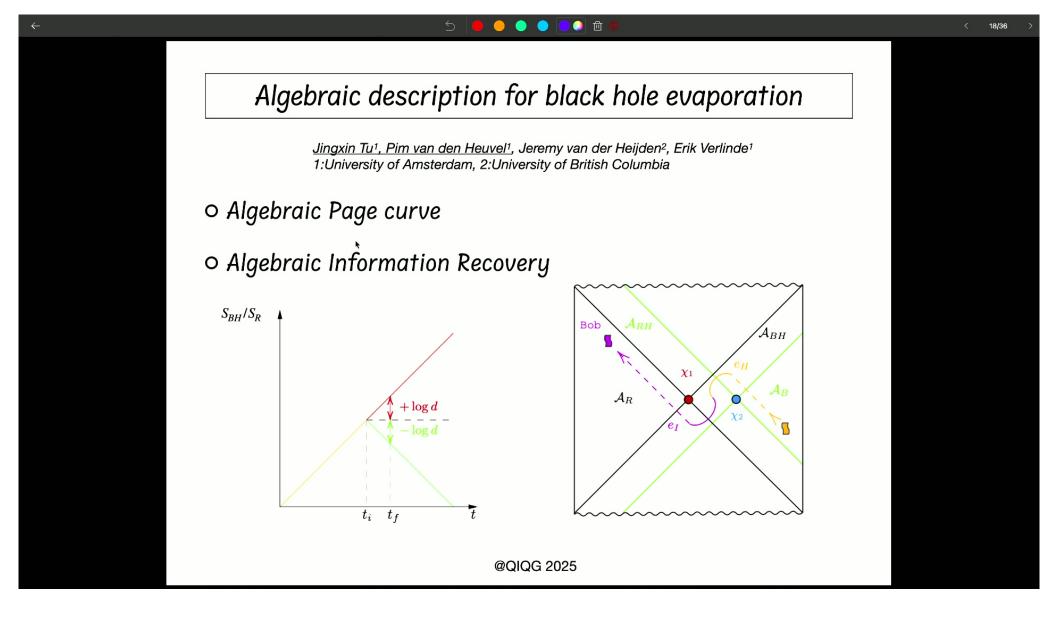
Same scaling behavior

$$\mathcal{C} \propto \Delta \phi^{-(d-1)}$$

> Same phase transition



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Non-Locality induces Isometry and Factorisation in Holography

Authors: Souvik Banerjee, Johanna Erdmenger, Jonathan Karl

Arxiv: 2411.09616 [hep-th]

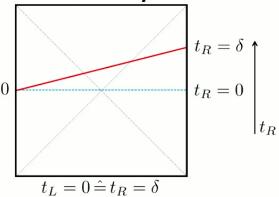
Boundary Theory

Two copies of a CFT in time-shifted TFD state



Two copies of a CFT in time-shifted TFD state
$$|\text{TFD}_{\alpha}\rangle = e^{iH_R\delta}|\text{TFD}\rangle = \frac{1}{\sqrt{Z(\beta)}}\sum_n e^{-\frac{\beta}{2}E_n}e^{i\alpha_n}|n,n\rangle \qquad t_L = \frac{1}{\sqrt{Z(\beta)}}\sum_n e^{-\frac{\beta}{2}E_n}e^{i\alpha_n}|n,n\rangle$$

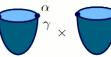
Bulk Theory



$$\langle {\rm TFD}_\alpha | {\rm TFD}_\gamma \rangle_{\rm pert.} = \delta_{\alpha\gamma} \simeq {}^{\alpha} \Longrightarrow {\rm states \; span \; } \infty {\rm \; dim. \; HS}$$

with $\alpha_n = E_n \delta$

$$|\langle {
m TFD}_{lpha}|{
m TFD}_{\gamma}
angle|^2_{
m non-pert.} = \delta_{lpha\gamma} + rac{Z_2}{Z_1} \simeq$$

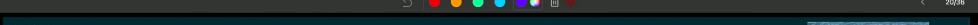






- \Rightarrow States span HS of dim $e^{S_{\rm BH}}$
- \Rightarrow Transition to type I vN algebra with discrete spectrum
- \Rightarrow States contained in factorised HS

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QIQG '25

Entropies of gravitational systems from simplicial Lorentzian path integrals



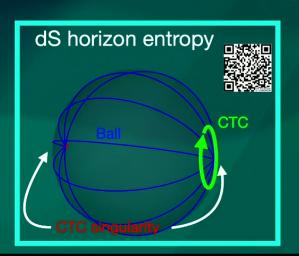
José Padua-Argüelles, Pl

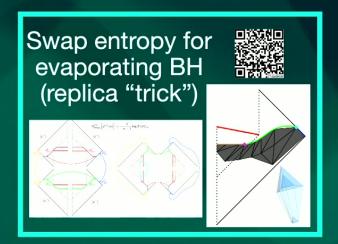
The Euclidean path integral is ill defined, so how can we do gravitational thermodynamics?

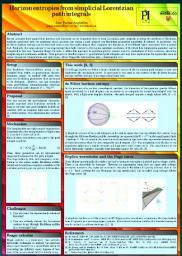


We can use the <u>Lorentzian</u> path integral!

Use lattice-like formulation of GR (Regge Calculus) to implement this in a manageable way







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Gravitational entropy is observer-dependent

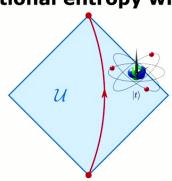
J. De Vuyst, S. Eccles, P. Höhn & J. Kirklin, [2412.15502, JHEP 05(2025)211, 2405.00114]

Generalised entropy formula for a subregion \mathcal{U} of spacetime:

$$S_{\mathrm{gen}}(\mathcal{U}) = rac{\mathrm{Area}}{4G_{\mathrm{N}}} + S_{\mathrm{QFT}}(\mathcal{U})$$

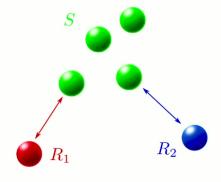
→ Quantum reference frame leads to natural regularisation (type II algebra)

Gravitational entropy with QRFs



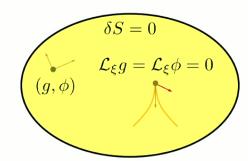
$$H = H_S + H_C$$
$$(\mathcal{A}_{\mathcal{U}} \otimes \mathcal{B}(\mathcal{H}_C))^H = \langle O_C^{\tau}(\mathcal{A}_S), e^{-iH_C t} \rangle$$

Subsystem relativity



$$\mathcal{A}_{S|R_1}^{\mathsf{phys}} \neq \mathcal{A}_{S|R_2}^{\mathsf{phys}}$$

Linearisation instability



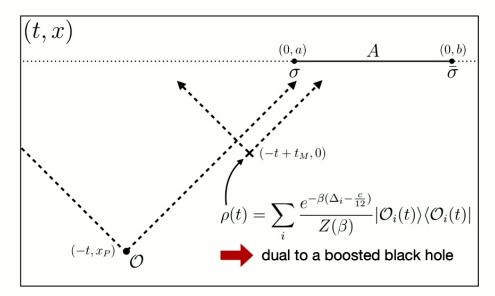
$$\int_{\Sigma} (-2G_{\mu\nu}^{(2)}(h,h) + T_{\mu\nu}^{(0)}) \xi_s^{\mu} \varepsilon^{(0)\nu} = 0$$

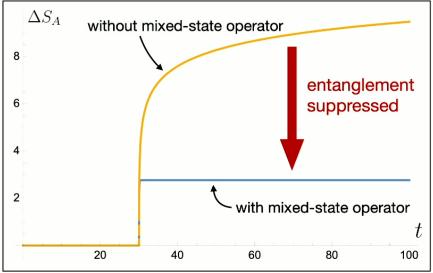
OIST QIQG 2025, Perimeter Institute, June 25th



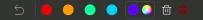
Due to Black Hole Scattering

Kazuki Doi, Yukawa Institute of Theoretical Physics (Based on work in preparation with T. Takayanagi)





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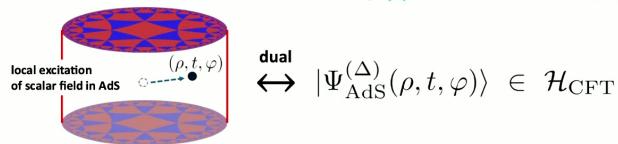


Probing de Sitter space using CFT states

Kotaro Shinmyo (YITP)

- Holpgraphy argues $Z_{d+2~{
 m Gravity}} = Z_{d+1~{
 m QFT}}$
- → All observables correspond!
- Q. How do we reconstruct the d + 2 dim. gravity from d + 1 dim. QFT?
- In AdS₃/ CFT₂, we can analyze AdS₃ spacetime by dual CFT₂ states.

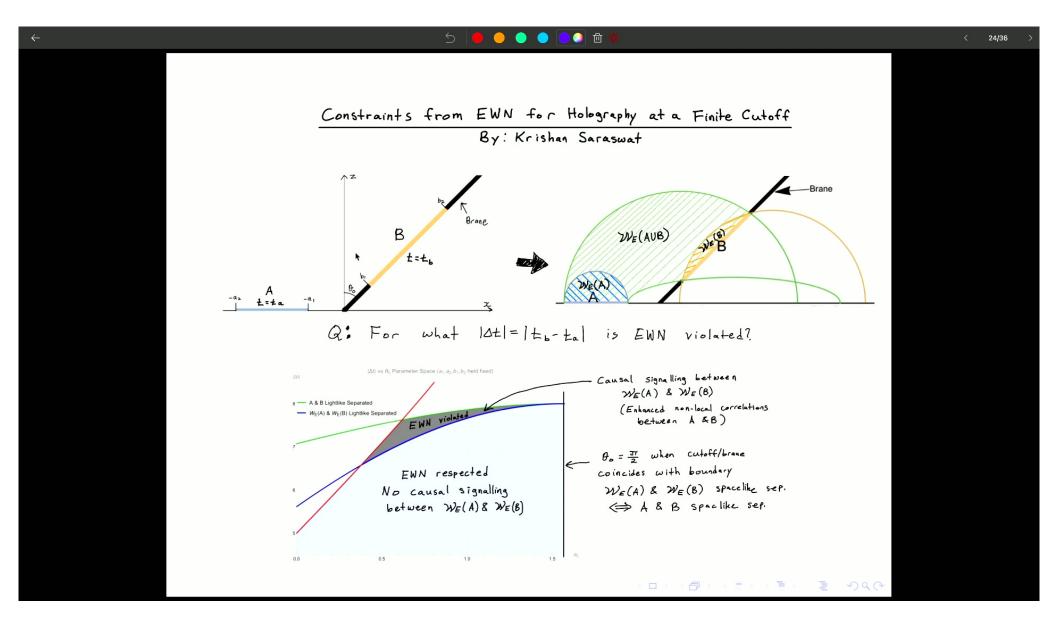
[Miyaji-Numasawa-Shiba-Watanabe-Takayanagi 2015]



We successfully construct the CFT₂ states probing dS₃ spacetime!

[Doi-Ogawa-KS-Suzuki-Takayanagi 2024]

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Lavish Chawla, Aranya Bhattacharya, and Mario Flory

Jagiellonian University in Kraków, Poland

Is area more fundamental than length in (quantum) gravity?

Black Hole Entropy, Holographic Entanglement Entropy, Nambu-Goto Action in String Theory, Loop Quantum Gravity, ... hint towards this direction.

Area metrics fundamentally define area elements without relying on the notion of length:

$$dA^{2} = \mathbf{G}_{\mu\nu\rho\sigma}(dx^{\mu} \wedge dx^{\nu}) \cdot (dx^{\rho} \wedge dx^{\sigma}), \qquad A[\Sigma] = \int_{\Sigma} dA.$$

Our Approach and Results:

- \triangleright In the framework of AdS/CFT, we study linearized area metric fluctuations around an empty AdS_4 background.
- > First principles: Entanglement first law in boundary CFT, Ryu-Takayanagi formula in area metric bulk.
- > Outcomes:
- Holographic dictionary for boundary energy momentum tensor in terms of length and area metric perturbations.
- Generalized linearized Einstein's equations to include area metric degrees of freedom (no length metric analogue).

QIQG 2025

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On Infinite Tensor Networks, Complementary Recovery and Type II Factors

Wissam Chemissany Elliott Gesteau Alexander Jahn Daniel Murphy Leo Shaposhnik

We construct a toy framework that allows to think about the following questions:

What does it mean for a tensor network to be infinitely large?

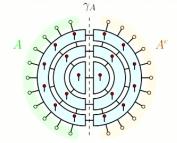
How can we recover the UV, knowing the IR and the RG map?

In what sense is RG flow a quantum error correcting code?

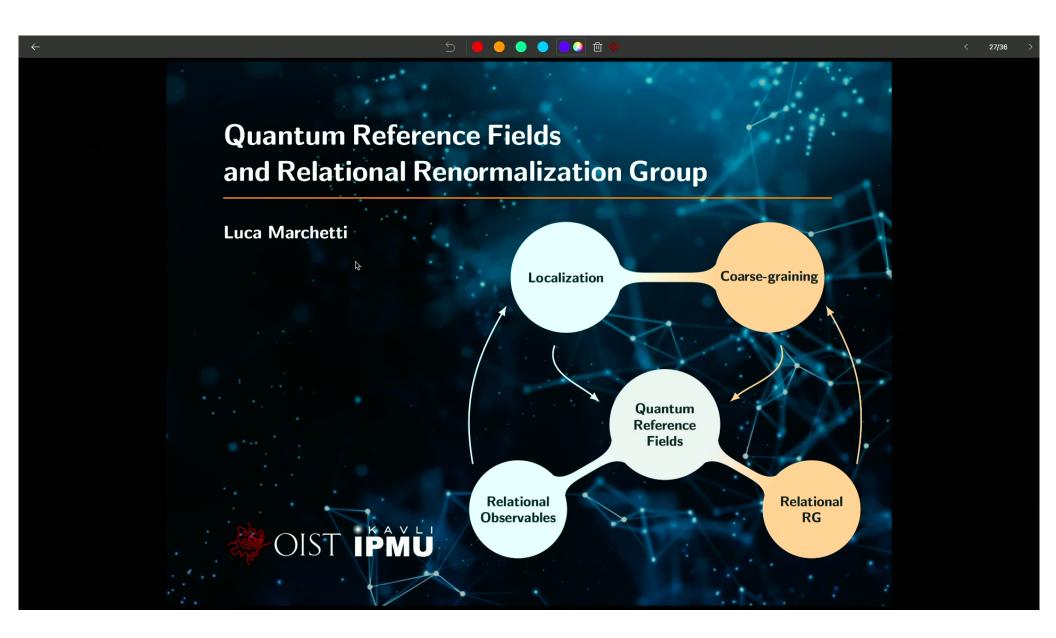
What tensor networks give rise to QFT's in the limit of infinite size?

What are the operator algebras of infinitely large tensor networks?

How does holographic quantum error correction help with all of that?



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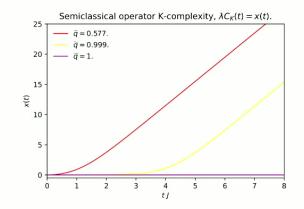
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Operator K-Complexity in DSSYK and its bulk dual

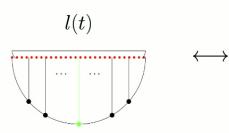
Marco Ambrosini (U. of Geneva), with E. Rabinovici, A. Sánchez-Garrido, R. Shir and J. Sonner

Operator complexity in semiclass. limit:

$$C_K(t) = rac{2}{\lambda} \log(1 + (1 - ilde{q}) \sinh^2 Jt)$$



In a triple-scaled limit, DSSYK+operator is dual to JT gravity+shockwave:



$$t$$
 $l(t)$
 $-t$

$$\Delta = \frac{E}{M}$$

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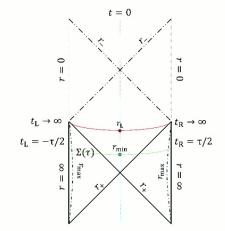
Generalized Holographic Complexity of Rotating Black Holes

Authors: Ming Zhang, Jialong Sun, Robert B. Mann

Published: JHEP 09 (2024) 050

Key Points:

- Investigate generalized holographic complexity for odd-dimensional Myers-Perry AdS black holes with equal angular momenta.
- Demonstrate linear growth of complexity at late times, consistent with holographic duality.
- Identify novel early-time phase transitions (first-order, second-order, multicritical) due to black hole rotation.
- Propose a Maxwell-like area law to determine phase transition points.
- Find complexity of formation scales with thermodynamic volume for large near-extremal black holes.



Penrose diagram of MP-AdS black hole. showing extremal hypersurface $\Sigma(\tau)$.

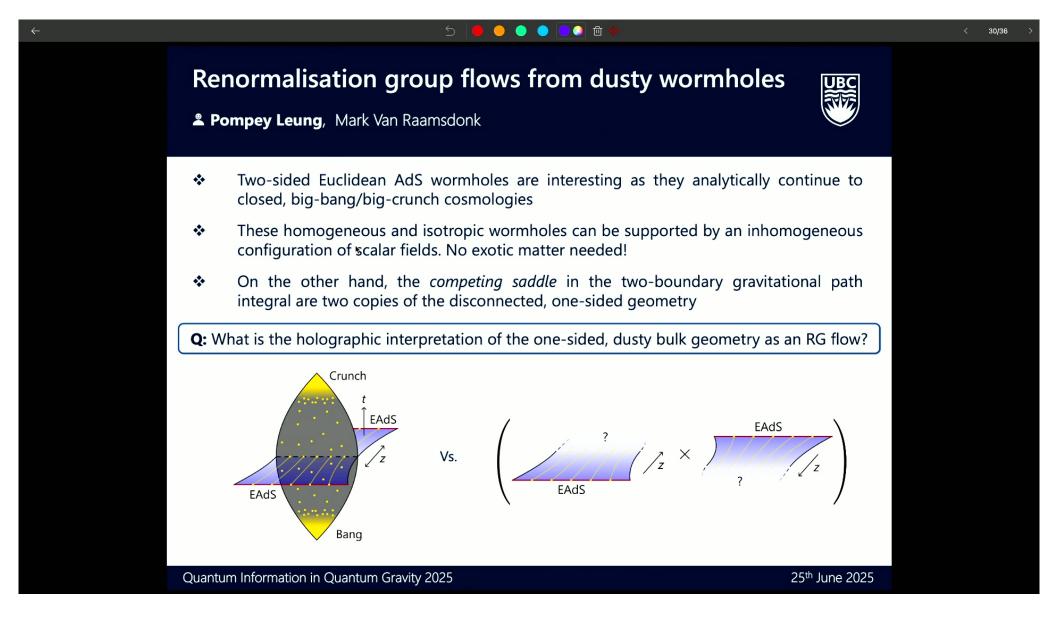








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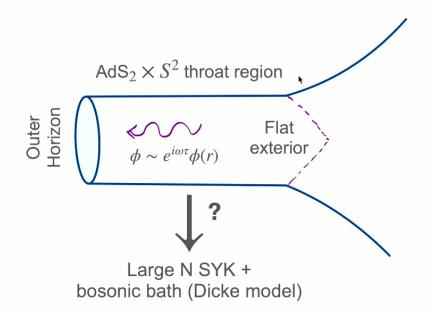
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Looking for a Microscopic Model for Black Hole Superradiance

Rana Zibakhsh

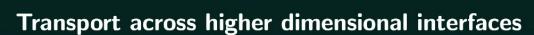


- Superradiance in the Dicke model is a phase in which enhanced coherent emission of photos by atoms is occurred.
- hoIn charged black holes it is the amplification of scalar field through energy/charge extraction for $\omega < q\Phi_H$

How do we identify the superradiance modes on both sides?

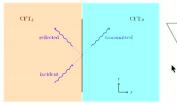
Are the QNMs in the upper half plane (unstable)?

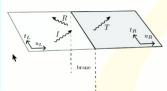
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Sebastian Waeber - Ben-Gurion University of the Negev

Scattering at higher d > 2 interfaces





 Solve for basis of bulk solutions with IS-matching conditions

$$[\gamma_{ab}] = 0$$

$$[K_{ab}] - \gamma_{ab}[K] = -8\pi G \sigma \gamma_{ab}.$$

and undeformed boundaries.

 Construct asympt. outgoing wave in CFT_R General bulk solutions are

$$ds^2 = ds_{empty\ AdS}^2 + \frac{\epsilon e^{-i\omega t}}{\sin(\theta)^2} h_{\mu\nu}(z,\theta) dx^{\mu} dx^{\nu}$$

$$h = \sum_{k} f(k) B^{k}(z) (c_{1}^{k} P^{k}(\theta) + c_{2}^{k} Q^{k}(\theta)).$$

 θ - angle of AdS_d slice, z radial coordinate on constant θ slices.

- IS matching and boundary conditions fix $\lim_{n\to\infty} k(n) = \alpha \, n + \beta$ and fix $c_{1,2}^{k,L}$ in terms of $c_{1,2}^{k,R}$
- Build planar waves at large u with e.g.

$$\sum_{n} t^{k(n)} J_{k(n)}(u) = \frac{e^{(t-1/t)u}}{2\alpha} + \mathcal{O}(1/\sqrt{u})$$

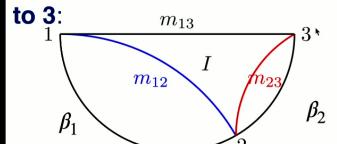


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Geometry of Chord Intertwiner, Multiple Shocks and Switchback in Double-Scaled SYK

Forthcoming work by Sergio Ernesto Aguilar Gurtierrez (OIST) and Jiuci Xu (UCSB)

Chord intertwiner: The wavefunctions associated to segment 1 to 2 and 2 to 3 create 1



$$\phi_{eta_1+eta_2}(m_{13}) = \sum_{m_{12},m_{23}=0}^{\infty} \phi_{eta_1}(m_{12}) \, \phi_{eta_2}(m_{23}) \, I_{m_{12},m_{23},m_{13}} \; .$$

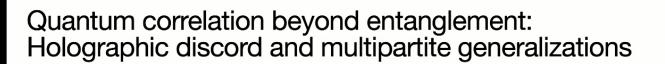
This simplifies boundary correlation functions describing multiple shockwaves in the bulk.

We find a microscopic observable (Krylov complexity) satisfying the switchback effect due

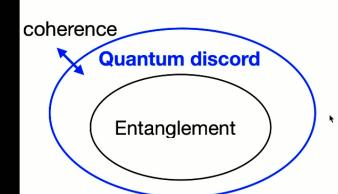
Operators inserted at times t_i with respect to the asymptotic boundary times t_I and t_R :

$$\mathcal{C} \propto |t_L - t_1| + |t_1 - t_2| + \dots + |t_m - t_R| - 2m t_{\text{scrambling}} + \mathcal{O}(1)$$
.

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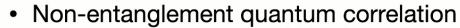


[2506.02131]
Takato Mori (Rikkyo University)



Bulk dual

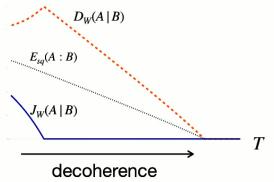
$$D_W(A | B) = S_B - S_{AB} + E_W(A : C)$$



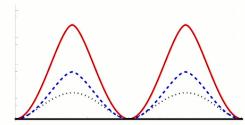
$$D_W > E_{sq} \Rightarrow \Delta Q_W(A \mid B) = \frac{h(A : C)}{2} > 0$$
 Markov gap
= $E_{sq}(A : B) - E_D(A \leftarrow B)$ one-way undistillable

entanglement

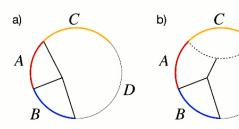
Anti-decoherence effect with BH



Boundary dual



Multipartite generalizations



Check out my Friday talk (2:30 pm-) for my related works



Xiaoyi Liu (UCSB)

WIP with Don Marolf (UCSB) and Jorge E. Santos (Cambridge)

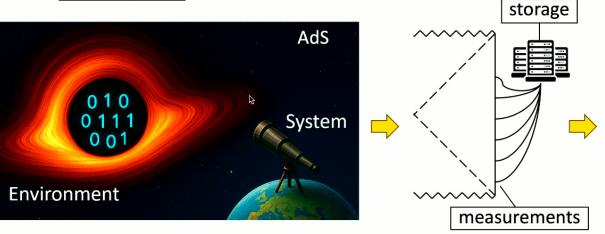


- Euclidean wormholes are important in explaining Hilbert space dimension of a black hole is finite.
- Wormholes should be generic in the presence of large Euclidean sources.
- We investigated this conjecture in a toy Einstein+scalar model in 4 spacetime dimensions.
- The answer to the question in title is "no" in our setting.
- Not necesserily bad! More investigation into more complicated models are needed and are more related.

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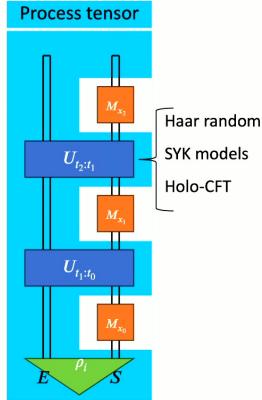


-- Zhuo-Yu Xian



Q1: How long must a small detector measure radiation to determine a large black hole's quantum state?

Q2: When does the detector first detect non-Markovian effects from the black hole?



Answer

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