

Title: Quantum simulation for materials modeling

Speakers: Alexandre Cooper-Roy

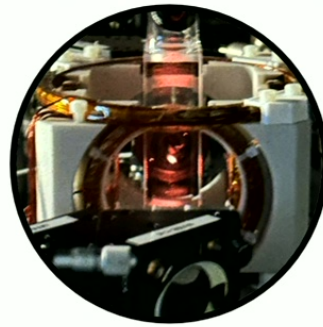
Collection/Series: Waterloo-Munich Joint Workshop

Subject: Quantum Information

Date: October 02, 2024 - 9:45 AM

URL: <https://pirsa.org/24100053>

Towards Quantum Simulation for Materials Modeling with Rydberg Atom Arrays



Alexandre Cooper-Roy

Department of Physics and Astronomy

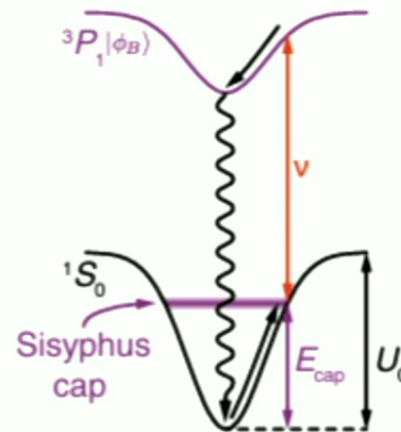
Institute for Quantum Computing

University of Waterloo

October 2nd, 2024

Cooling and localization of atoms in laser-induced potential wells

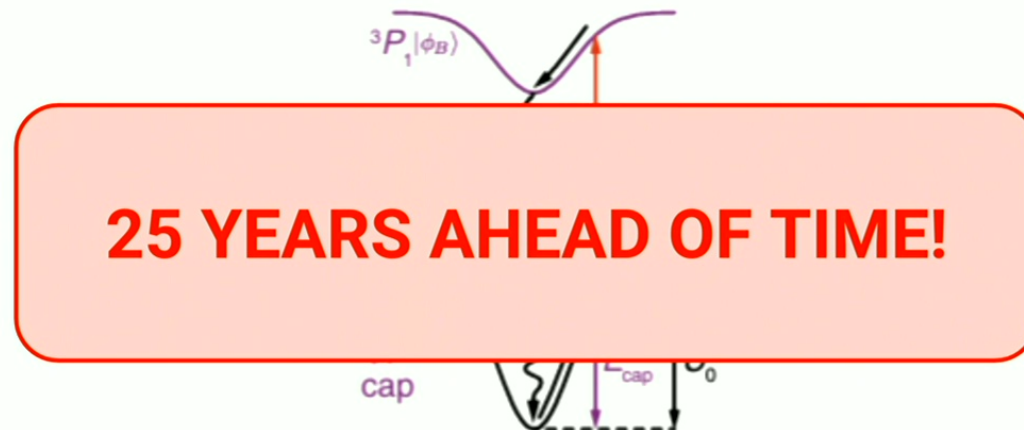
R. Taïeb, R. Dum, J. I. Cirac, P. Marte, and P. Zoller
Phys. Rev. A **49**, 4876 – Published 1 June 1994



Sisyphus Cooling in Sr-88
PHYSICAL REVIEW X **8**, 041055 (2018)
Caltech (2018)

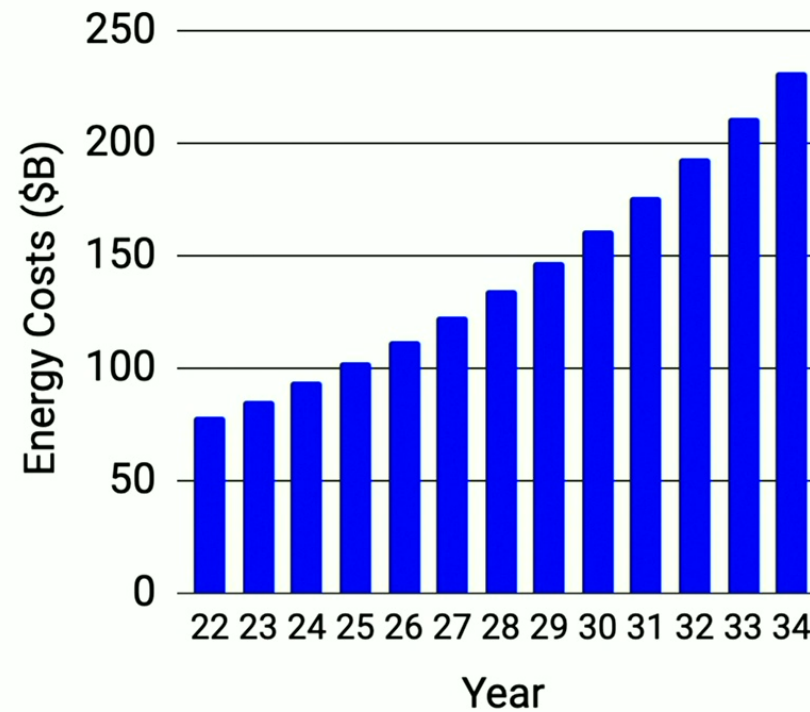
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PHYSICAL REVIEW X **8**, 041055 (2018)
Caltech (2018)

Exploding worldwide energy demand for processing information



Source: International Energy Agency

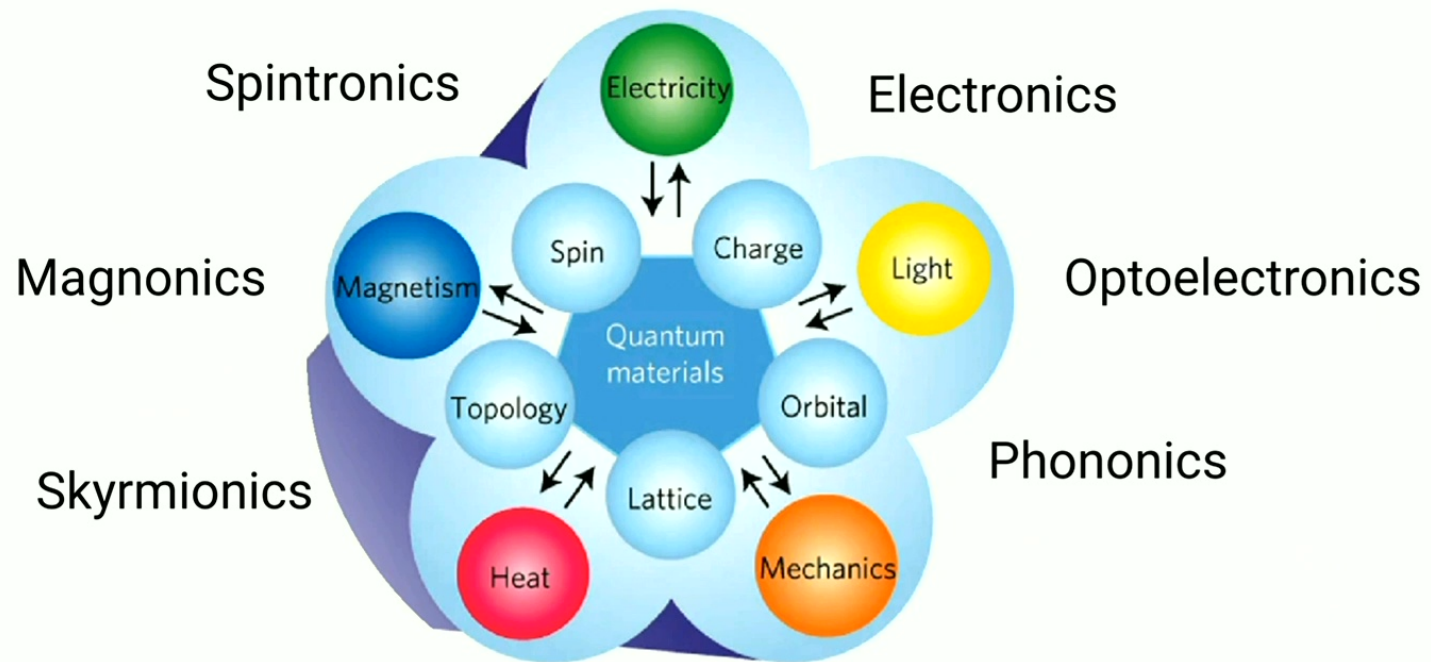


Urgent need for groundbreaking innovation driven by fundamental physics

- **Solar panels** for energy harvesting,
- **Nuclear fusion** for energy production,
- **High-Tc superconductors** for lossless transmission,
- **Spintronic logic devices** for energy-efficient processing,
- any many more ...

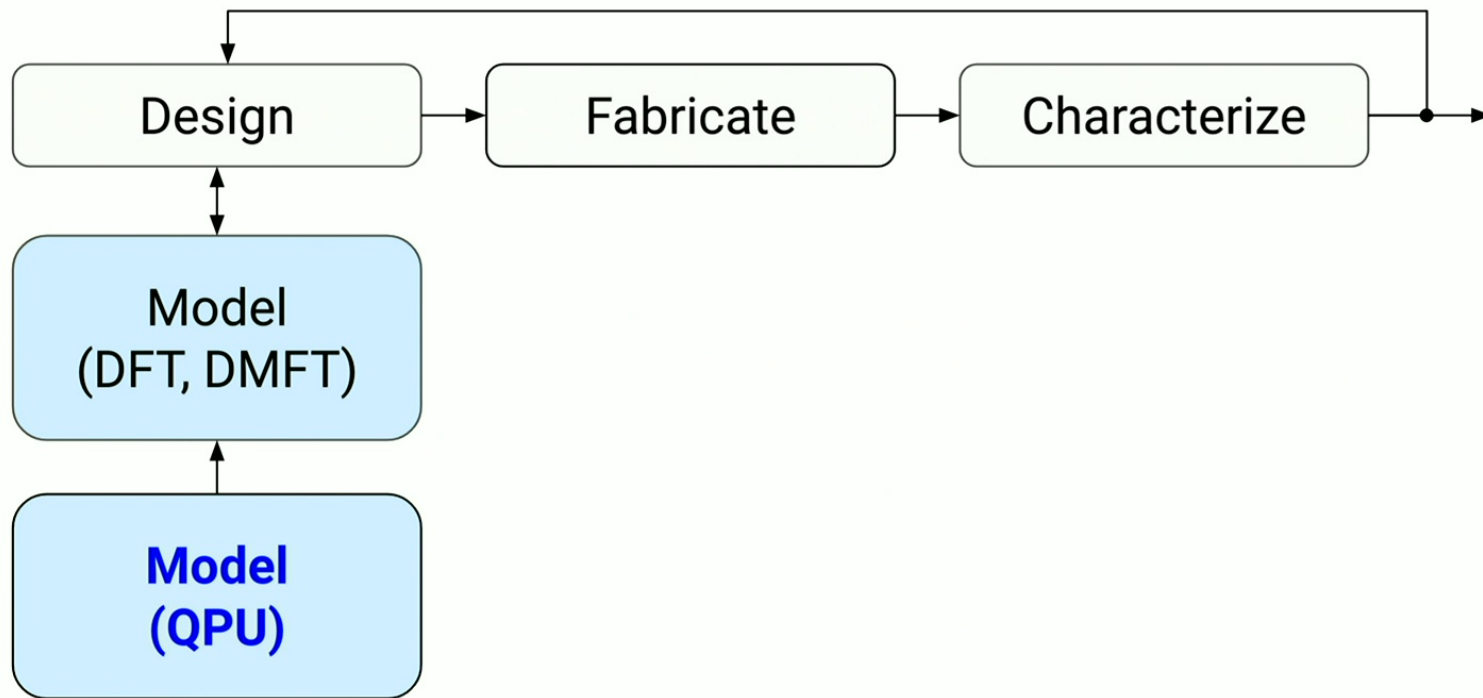
***** MATERIALS *****

Quantum materials for emerging technologies

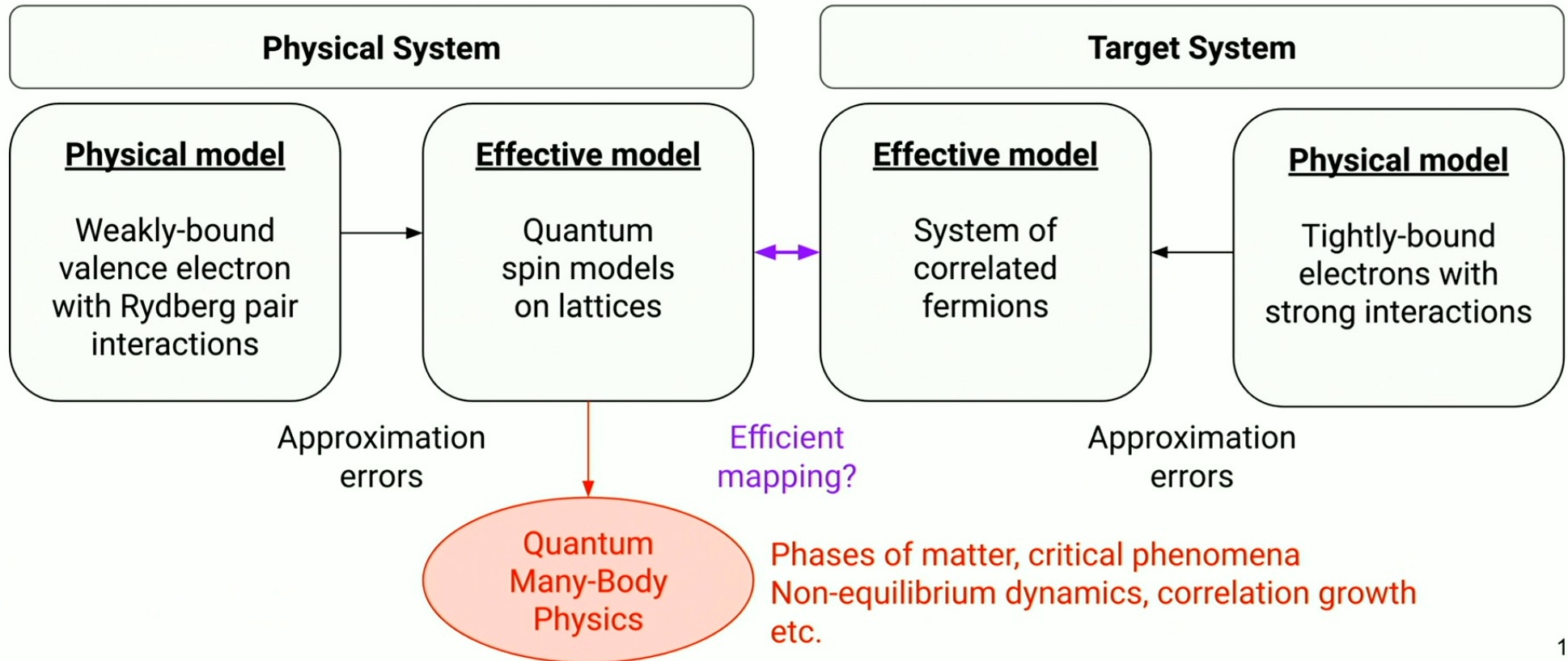


Source: Nature Physics 13, 1056–1068 (2017)

Quantum simulation for materials design and screening



Quantum simulation for materials design and screening



Quantum simulation for accelerating materials development cycle

A) Platform development towards realizing quantum control at scale



B) Quantum Many-Body Physics
B1) Perfect transport
B2) Scalable Spin Squeezing
B3) Anomalous Chiral Edge Flow

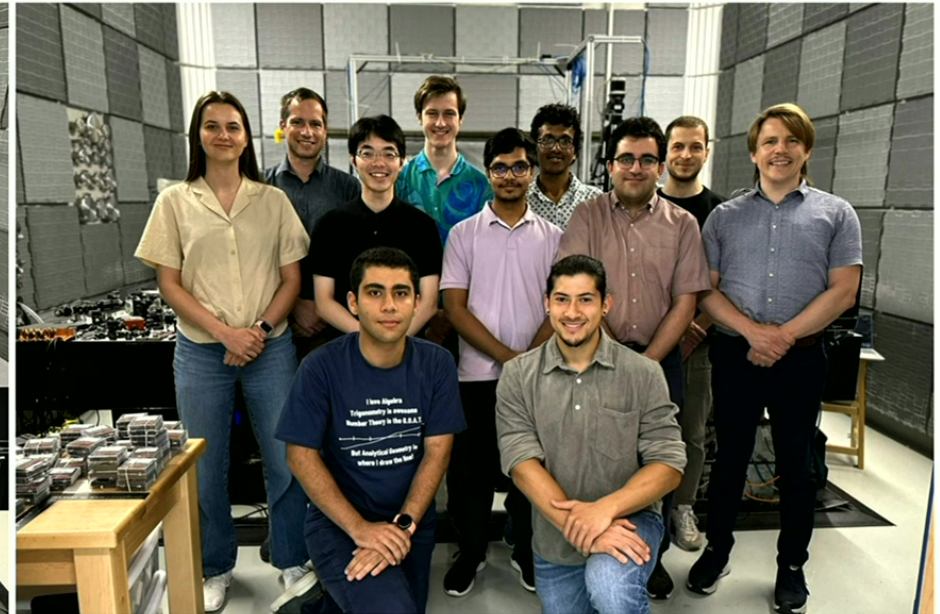
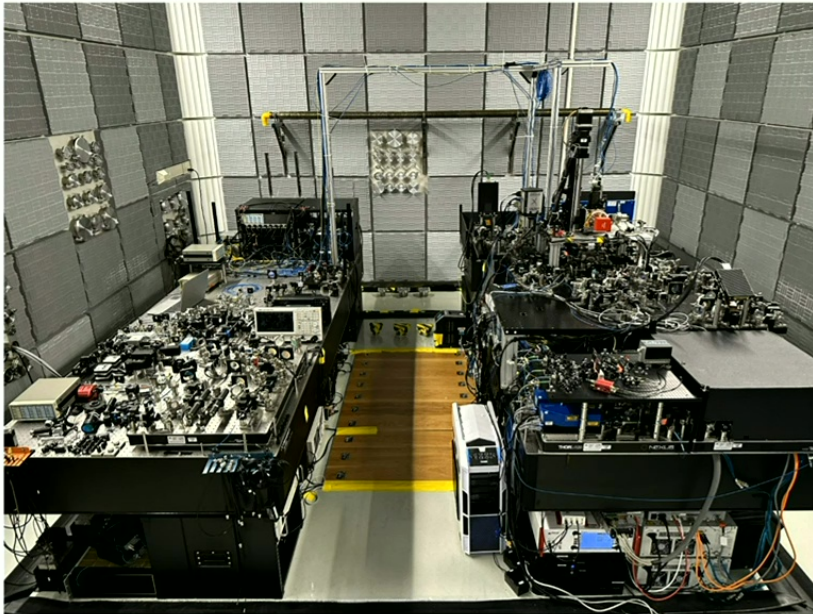
C) Practical applications
C1) Metrology
C2) Sensing
C3) Computing

A) Quantum information processing with Rydberg atom arrays

- Long-lived qubits
- Strong, tunable Rydberg-Rydberg interactions
- Quantum spin models on lattices
- Programmable geometry with defects and disorders
- Spin-selective control and readout
- Coherent displacement of atoms for dynamic connectivity
- etc.

A) Quantum processor based on Rydberg atom arrays

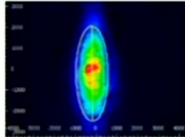
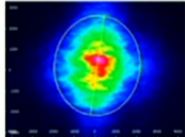
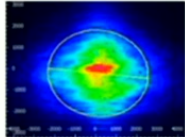
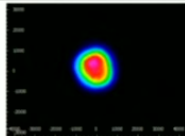
| | | |
|---|-----------------|-----------------|
| 1 | 1 H | |
| 2 | 3 Li | 4 Be |
| 3 | 11 Na | 12 Mg |
| 4 | 19 K | 20 Ca |
| 5 | 37 Rb | 38 Sr |
| 6 | 55 Cs | 56 Ba |
| 7 | 87 Fr | 88 Ra |



Anastasiia Mashko, Artem Zhutov, Soroush Khoubyarian, Kent Ueno

A1) Tunable lens assembly for circularizing elliptical laser beams

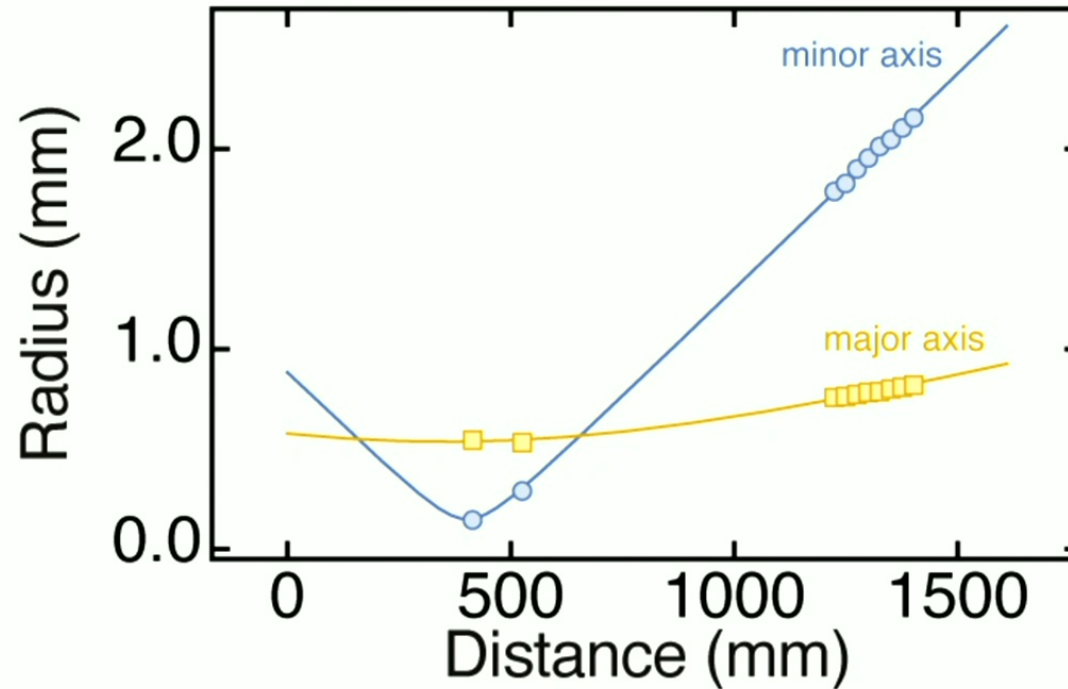


| Method | Beam Intensity Profile | Circularity ^a | M ² Values |
|--|--|--------------------------|------------------------------|
| Collimated Source Output (No Circularization Technique) |  Click to Enlarge Scale in Microns | 0.36 | X Axis: 1.28 Y Axis: 1.63 |
| Cylindrical Lens Pair |  Click to Enlarge Scale in Microns | 0.84 | X Axis: 1.90 Y Axis: 1.93 |
| Anamorphic Prism Pair |  Click to Enlarge Scale in Microns | 0.82 | X Axis: 1.60 Y Axis: 1.46 |
| Spatial Filter |  Click to Enlarge Scale in Microns | 0.93 | X Axis: 1.05 Y Axis: 1.10 |



Source: Thorlabs.com

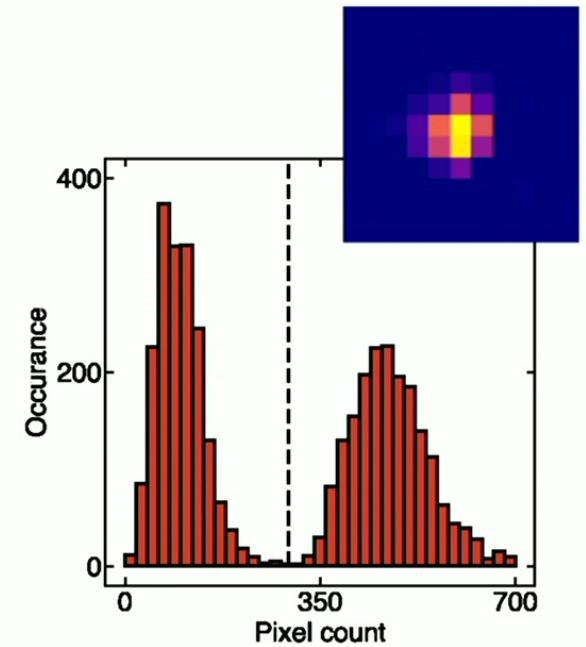
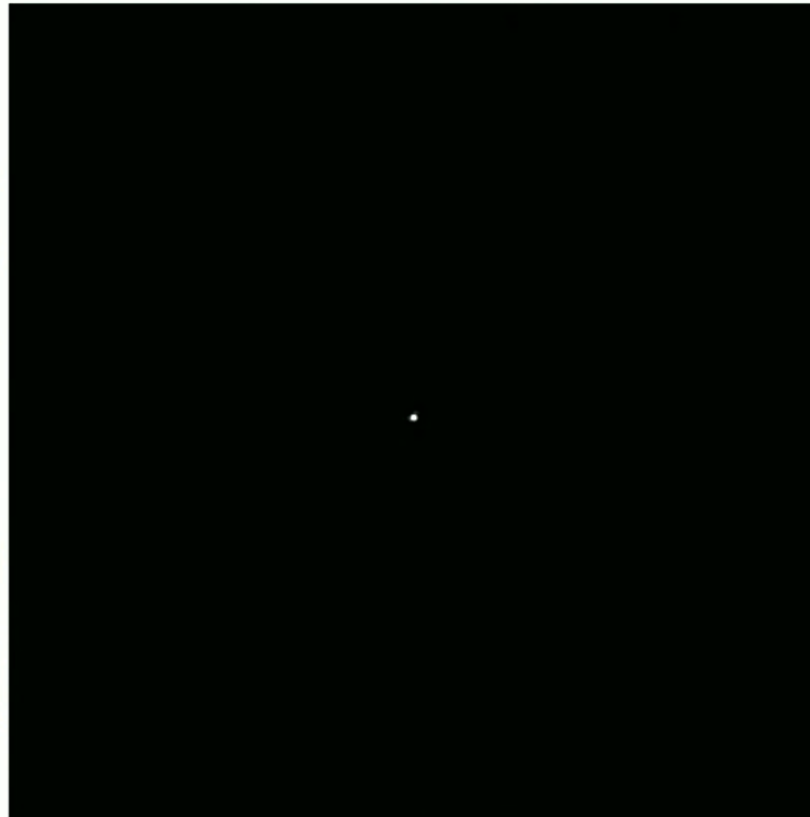
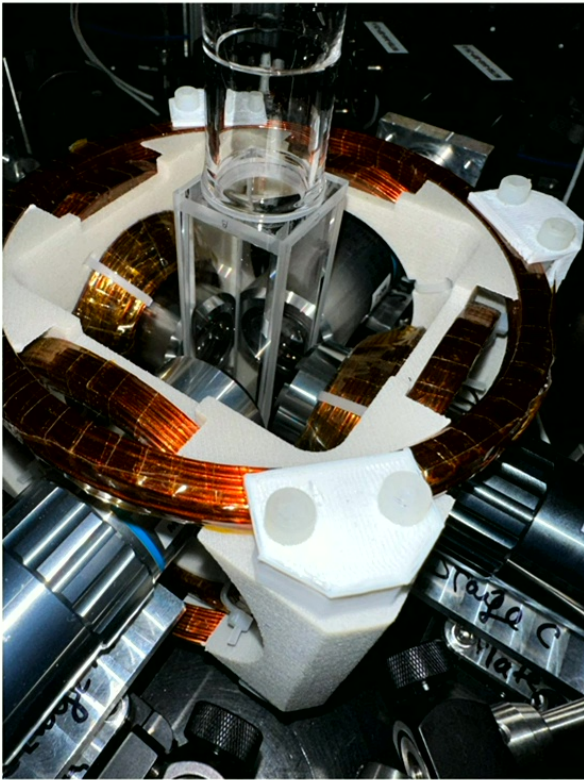
A1) Tunable lens assembly for circularizing elliptical laser beams



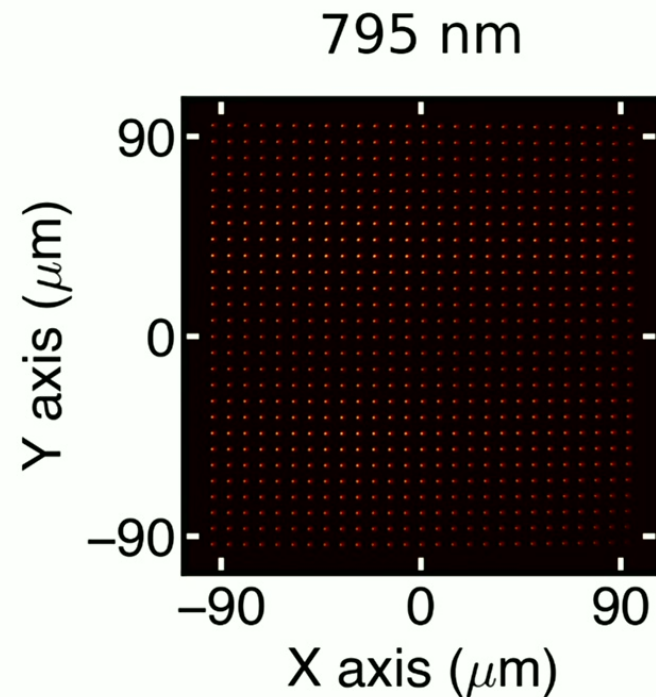
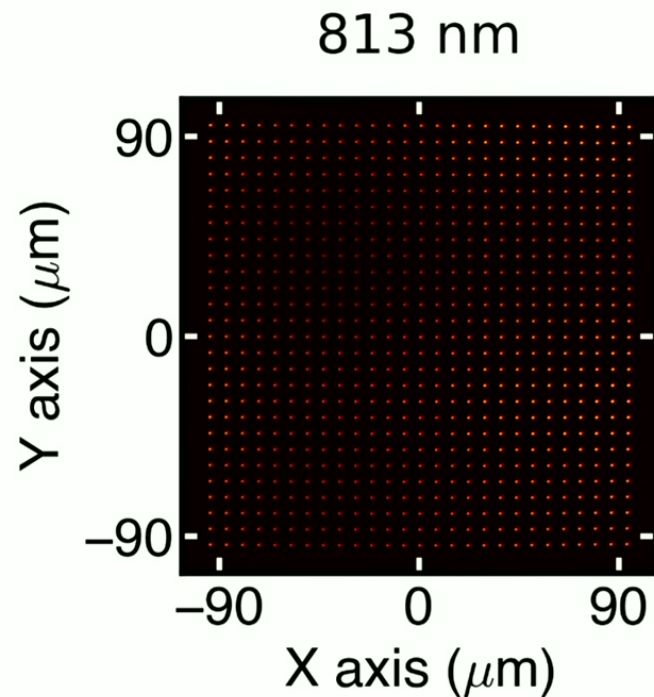
Soroush Khoubyarian, Anastasiia Mashko

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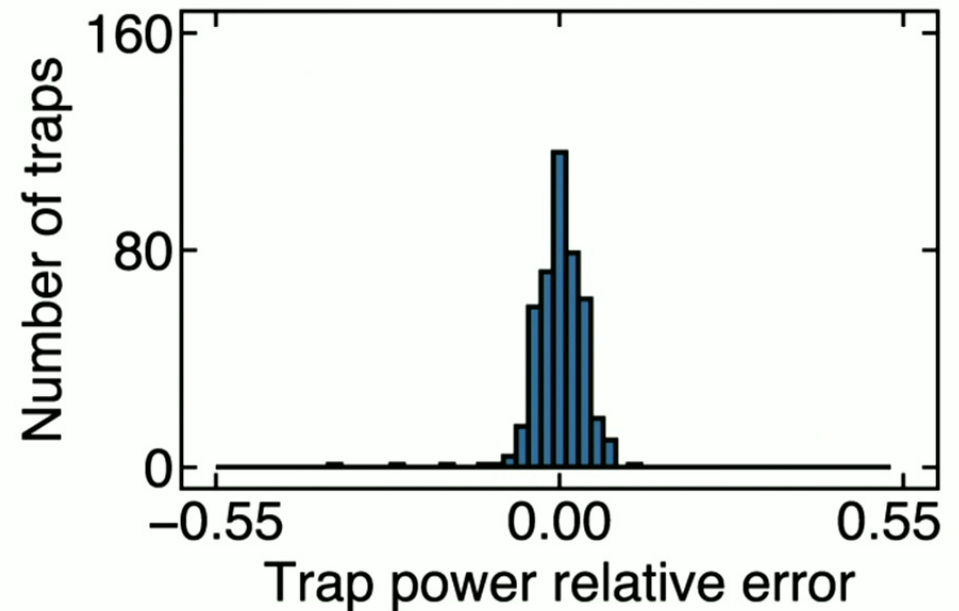
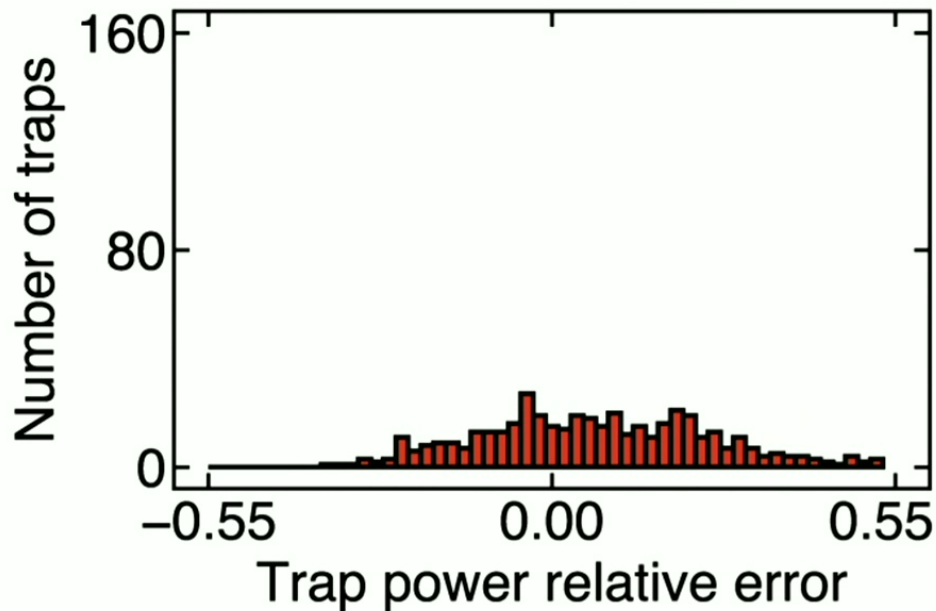
A2) Diffractive optical elements for creating large arrays of optical traps



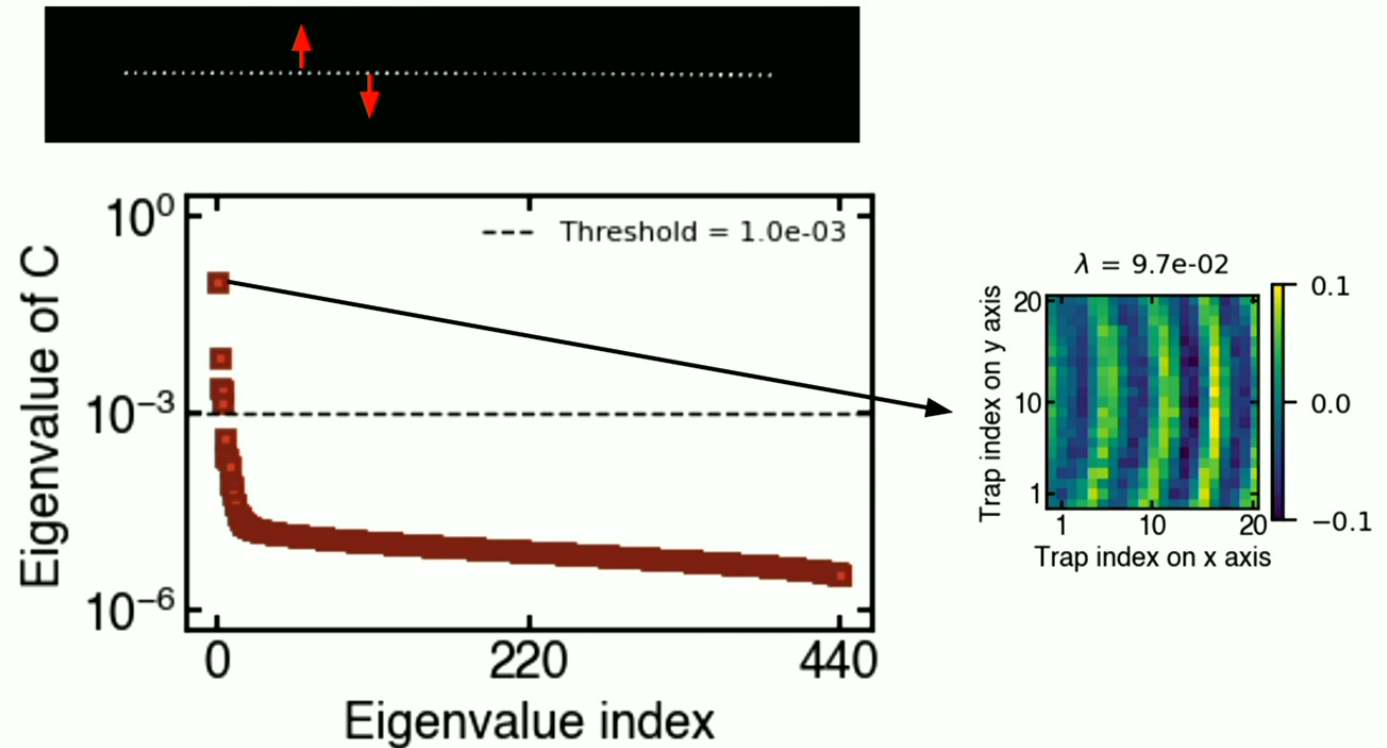
A2) Diffractive optical elements for creating large arrays of optical traps



A3) Closed-loop feedback system for creating homogeneous arrays of optical traps

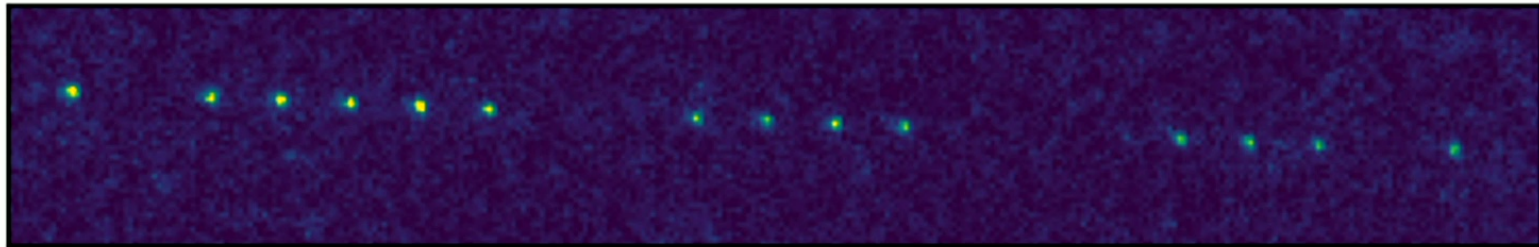


A3) Closed-loop feedback system for creating homogeneous arrays of optical traps



A4) Efficient algorithms for solving atom reconfiguration problems

Trial 3/51 (Cycle 1/2)



Physical Review A 108 (2), 023107 (2023), Physical Review A 108 (2), 023108 (2023)

Collaborators: Prof. Naomi Nishimura (Waterloo), Prof. Izzat El Hajj (AUB), Prof. Amer Mouawad (AUB)

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A4) Efficient algorithms for solving atom reconfiguration problems

Minimizing distance:

- $O(N^2)$ on uniformly-weighted grids,
- $O(N^3)$ on arbitrary edge-weighted graphs

Minimizing number displacements:

- NP-Hard (Steiner tree problem)
- $O(N^\alpha)$ for 3-approx

Algorithmica 86, 3284–3308 (2024)

Collaborators: Prof. Naomi Nishimura (Waterloo), Prof. Izzat El Hajj (AUB), Prof. Amer Mouawad (AUB)

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A4) Efficient algorithms for solving atom reconfiguration problems

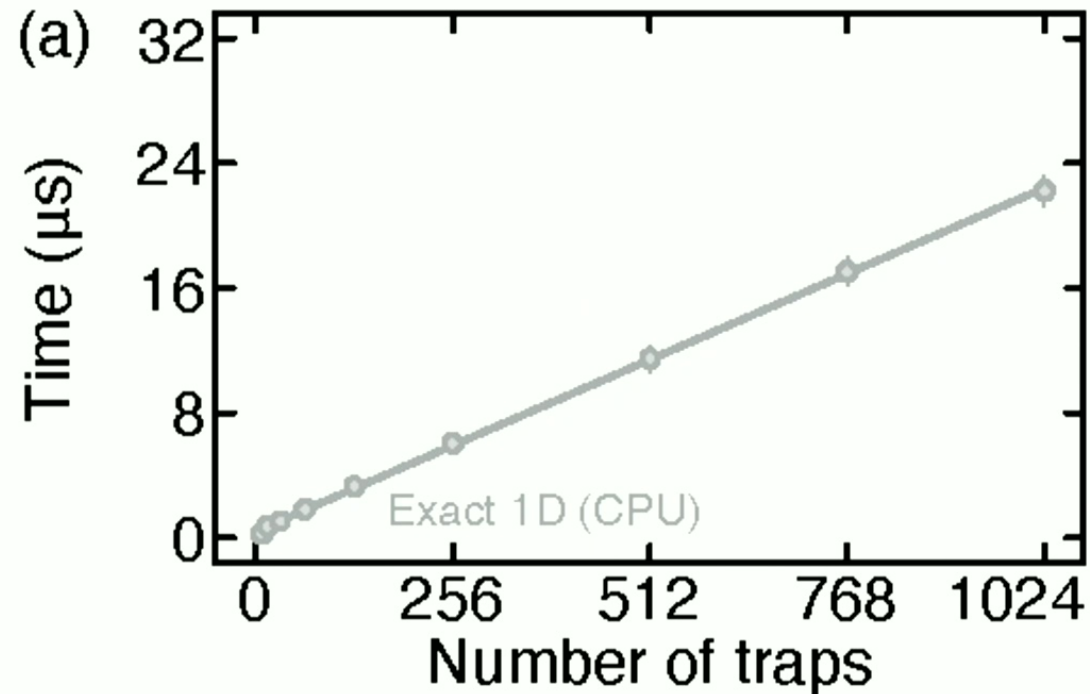
| Algorithm | Graph | Configuration | Complexity |
|-----------|--------------|----------------|-----------------|
| exact 1D | Paths/Chains | Arbitrary | $O(n^2)$ |
| red-rec | Grids | Arbitrary | $O(n \sqrt{n})$ |
| aro | Grids | Arbitrary | $O(n^4)$ |
| bird | Grids | Center-compact | $O(n \sqrt{n})$ |

Fiouani et al. (in preparation)

Collaborators: Prof. Naomi Nishimura (Waterloo), Prof. Izzat El Hajj (AUB), Prof. Amer Mouawad (AUB)

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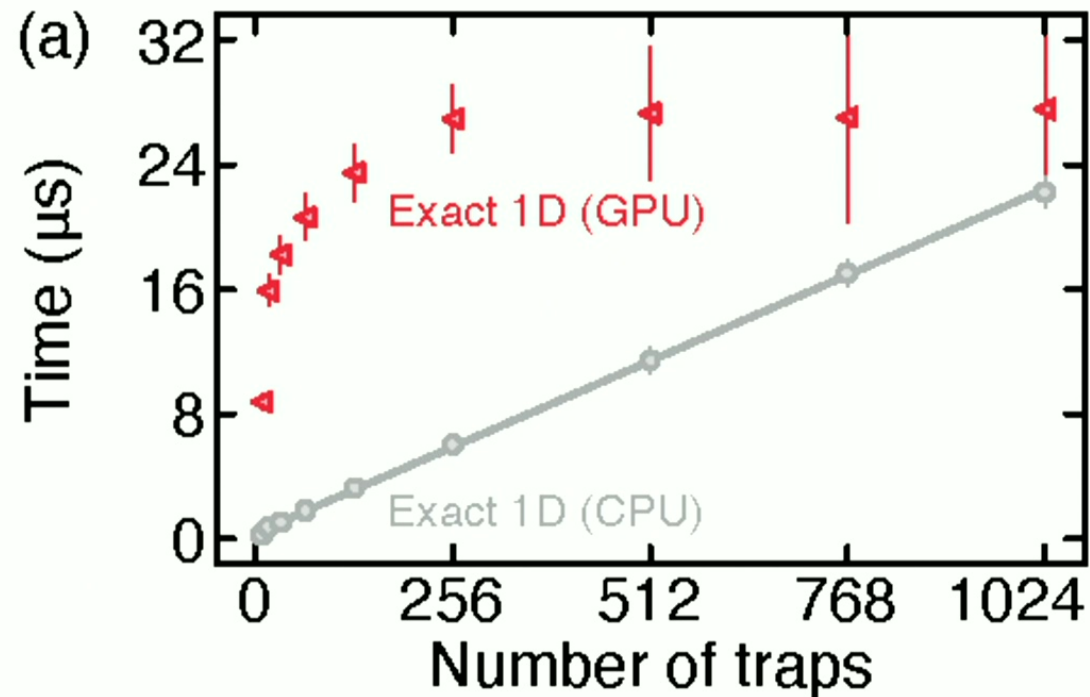
A5) Efficient implementations of atom reconfiguration algorithms on CPUs & GPUs



Dadpour et al. (in preparation)

Collaborators: Prof. Izzat El Hajj (AUB), Prof. Amer Mouawad (AUB)

A5) Efficient implementations of atom reconfiguration algorithms on CPUs & GPUs



Dadpour et al. (in preparation)
Collaborators: Prof. Izzat El Hajj (AUB), Prof. Amer Mouawad (AUB)

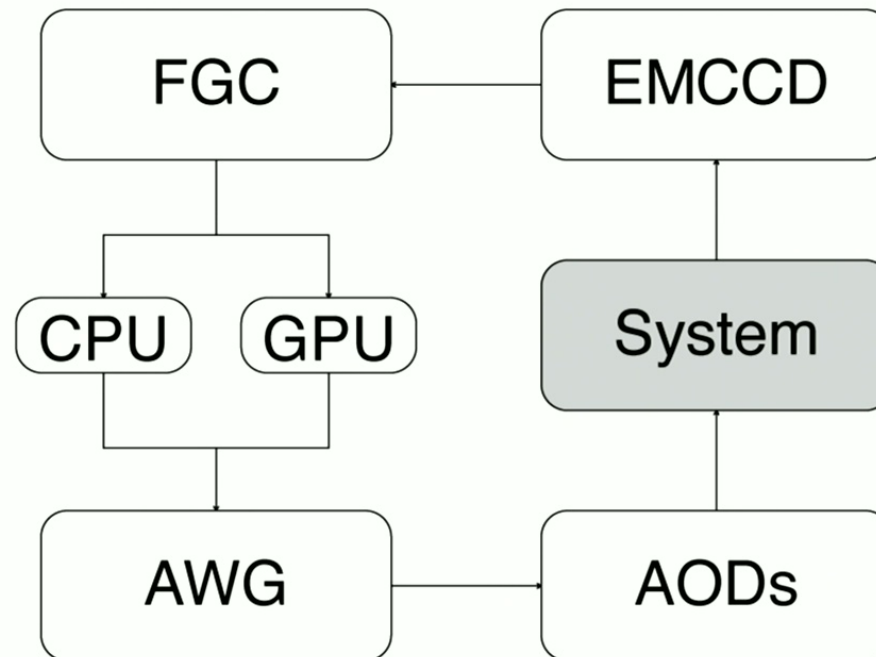
A5) Efficient implementations of atom reconfiguration algorithms on CPUs & GPUs

**CPUs outperform GPUs for
small relevant problem sizes**

Collaborators: Prof. Izzat El Hajj (AUB), Prof. Amer Mouawad (AUB)

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A6) Low-latency reconfiguration system for preparing defect-free atom configurations



Open source: <https://github.com/TQT-RAAQS/LLRS/>

Collaborators: Prof. Izzat El Hajj (AUB), Prof. Amer Mouawad (AUB)

A6) Low-latency reconfiguration system for preparing defect-free atom configurations

| | Reconfiguration cycle time (ms) | | |
|---|--|---|--|
| | Exact 1D $N_a = 1 \times 32$ $N_t = 1 \times 64$ ROI = 16×1024 | red-rec $N_a = 16 \times 16$ $N_t = 16 \times 32$ ROI = 256×512 | red-rec $N_a = 32 \times 32$ $N_t = 32 \times 64$ ROI = 512×1024 |
| I. Imagree acquisition | 25.454± 0.695 | 30.850± 0.588 | 46.250± 0.707 |
| I.1 Exposure* | 20.000 | 20.000 | 20.000 |
| I.2 Vertical frame transfer* (4 .33 μ s / px) | 4.499 | 4.499 | 4.499 |
| I.3 Frame readouts* (30 Mpxps) | 0.677 | 5.923 | 20.549 |
| I.4 DMA data transfer | 0.278 | 0.428 | 1.202 |
| II. Image processing | 0.259± 0.108 | 0.281± 0.158 | 0.277± 0.084 |
| II.1 Deconvolution | 0.259 | 0.279 | 0.269 |
| II.2 Thresholding | 0.001 | 0.002 | 0.007 |
| III. Problem solving | 0.008± 0.001 | 0.059± 0.005 | 0.177± 0.014 |
| III.1 Solving | 0.005 | 0.035 | 0.100 |
| III.2 Batching | 0.003 | 0.024 | 0.077 |
| IV. Synthesis & Waveform loading | 0.630± 0.268 | 0.663± 0.117 | 0.635± 0.247 |
| IV.1 Lookup waveforms (2 × 32 = 64 wfms) | 0.078 | 0.046 | 0.038 |
| IV.2 Upload waveforms (2 segments) | 0.553 | 0.593 | 0.574 |
| IV.3 Configure sequence memory | 0.000 | 0.025 | 0.023 |
| V. Concurrent load & stream | 0.746± 0.004 | 2.765± 0.392 | 8.496± 0.577 |
| V.1 Streaming time* | 0.640± 0.000 | 2.667± 0.355 | 8.392± 0.533 |
| V.2 Other | 0.106± 0.004 | 0.098± 0.191 | 0.104± 0.231 |
| Total | 27.097± 1.076 | 34.618± 1.260 | 55.835± 1.629 |

Open source: <https://github.com/TQT-RAAQS/LLRS/>

Collaborators: Prof. Izzat El Hajj (AUB), Prof. Amer Mouawad (AUB)

A6) Low-latency reconfiguration system for preparing defect-free atom configurations

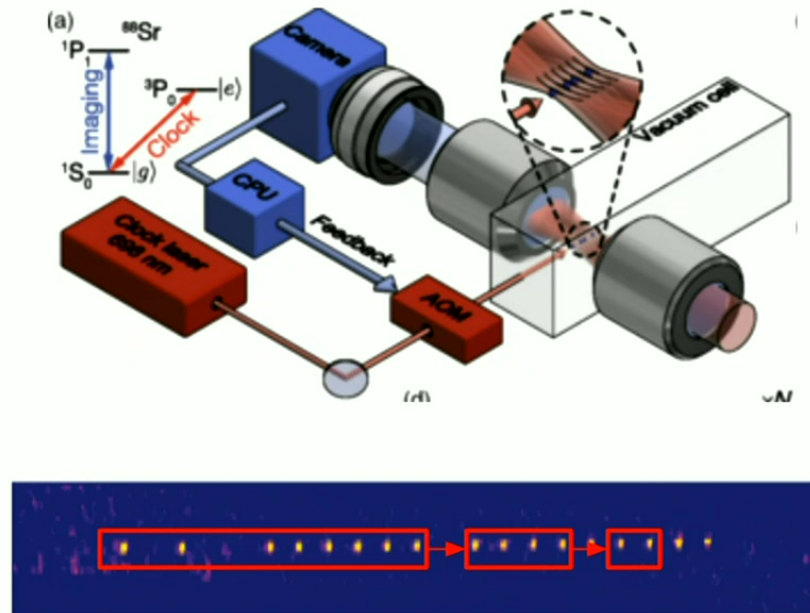
Runtime limited by camera and displacement speed

Open source: <https://github.com/TQT-RAAQS/LLRS/>

Collaborators: Prof. Izzat El Hajj (AUB), Prof. Amer Mouawad (AUB)

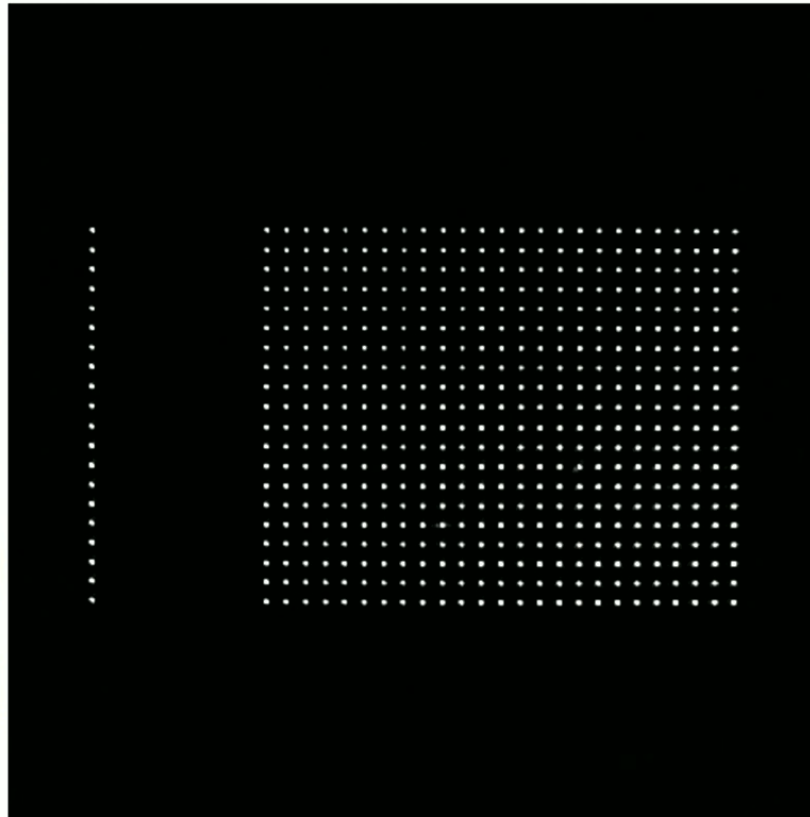
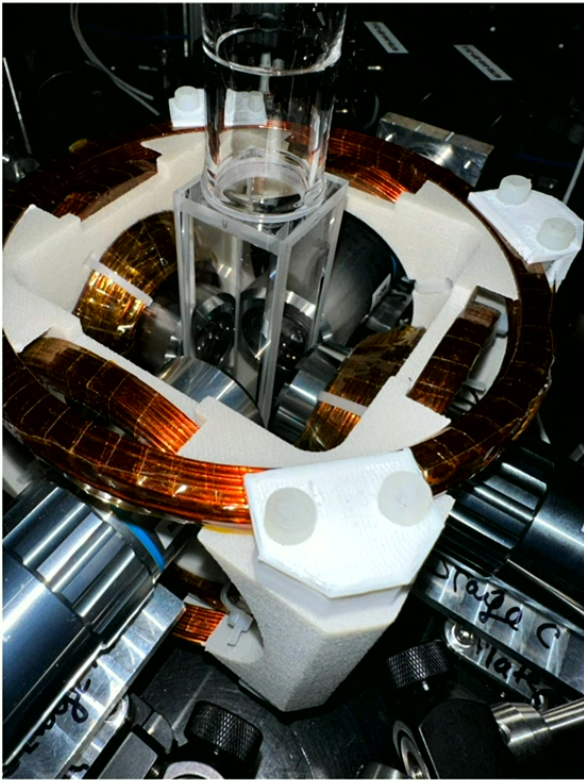
41

C1) Measurements and feed-forward for quantum-enhanced atom-array optical clocks

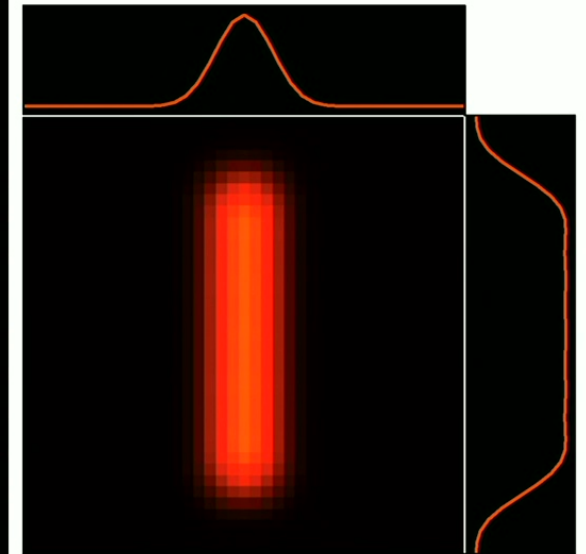
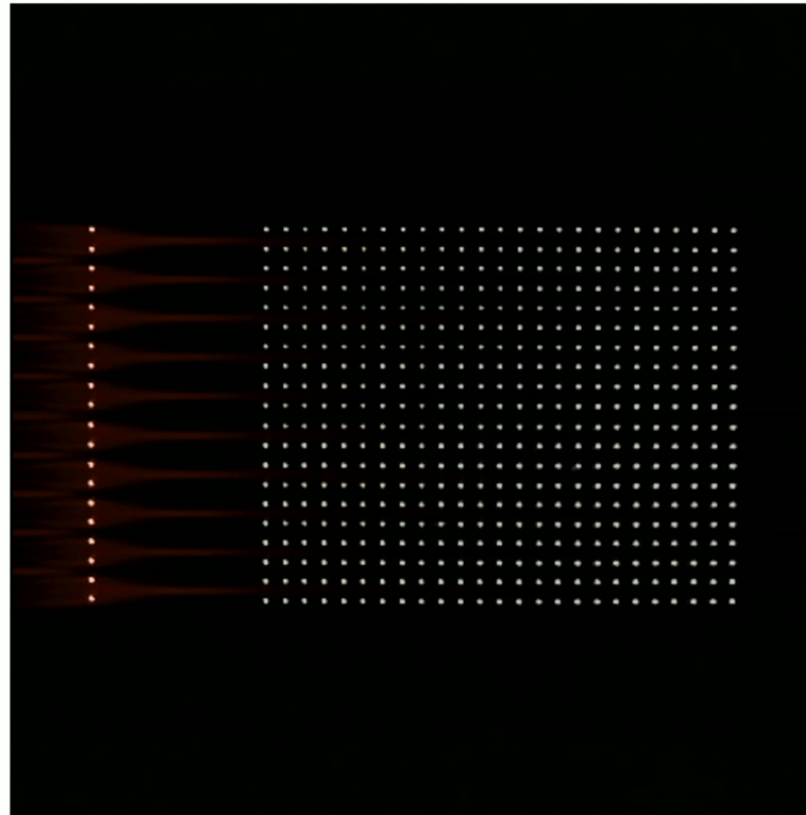


Caltech: Phys. Rev. X 9, 041052 (2019)

A8) Diffractive optical elements for creating atom-selective coherent control gates



A8) Diffractive optical elements for creating atom-selective coherent control gates

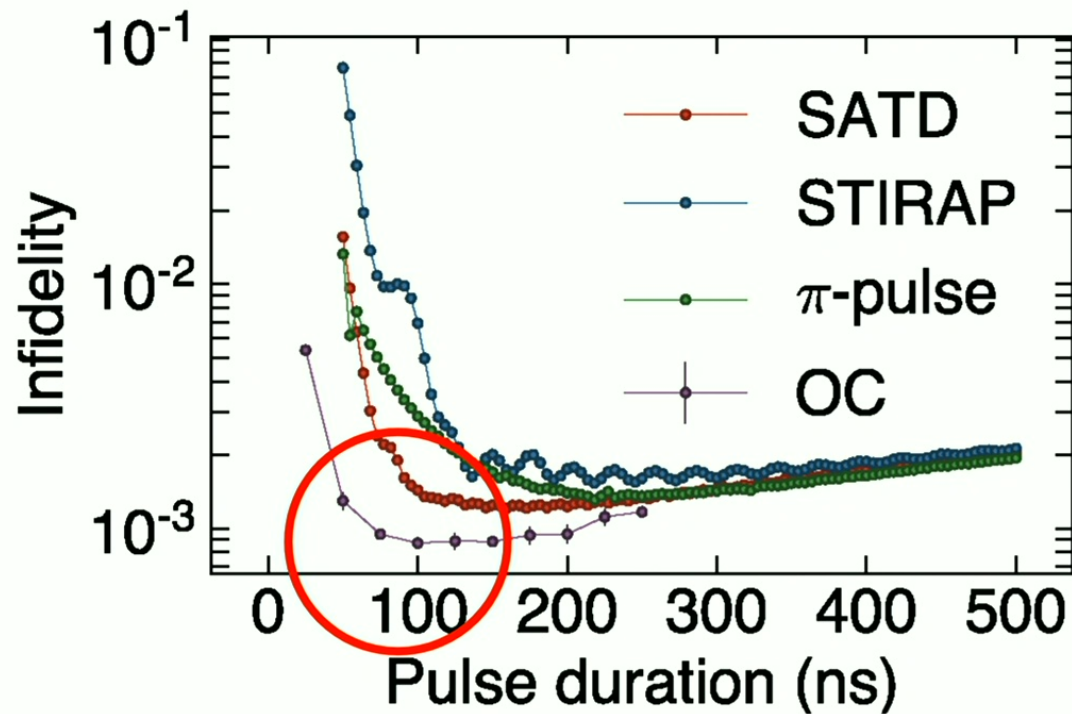


A8) Diffractive optical elements for creating atom-selective coherent control gates

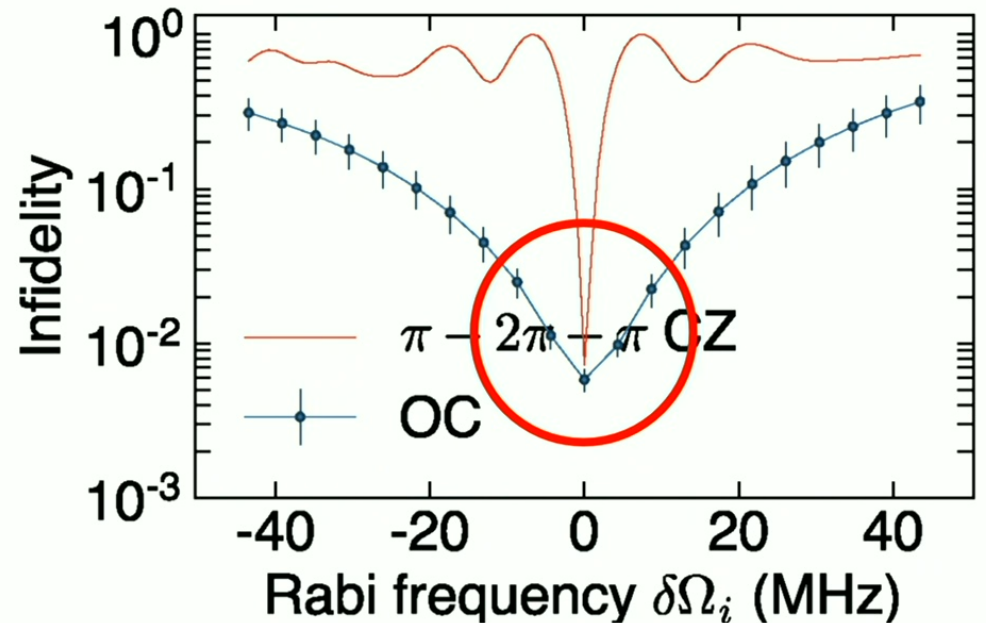
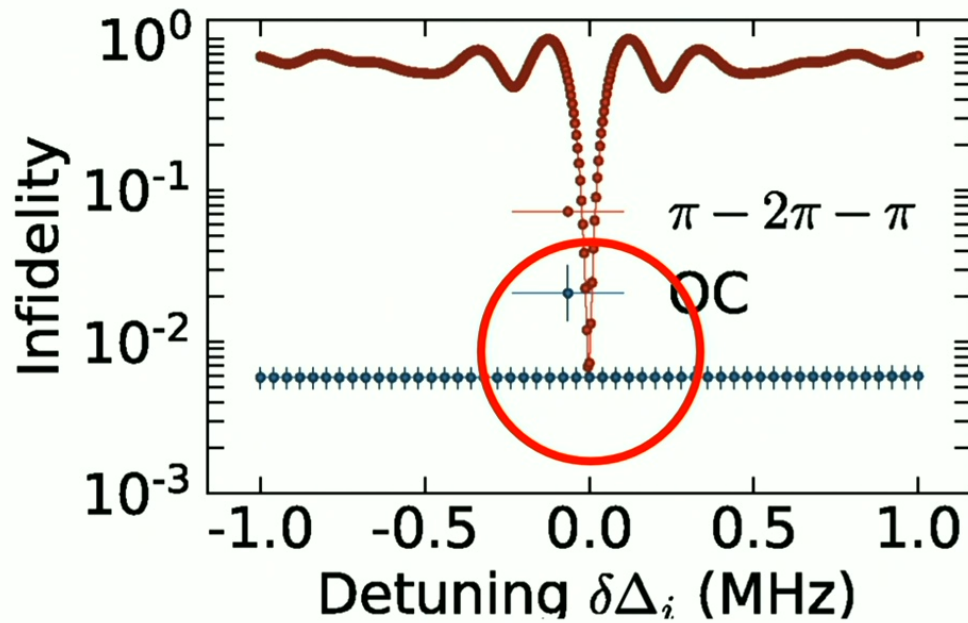
Transverse-field Ising Hamiltonian
with Site-Selective Parameters

$$\hat{\mathcal{H}} = \sum_i^L \frac{\Omega_i}{2} \hat{\sigma}_x^i - \sum_i^L \Delta_i \hat{\sigma}_{rr}^i + \sum_{i < j} V_{ij} \hat{\sigma}_{rr}^i \hat{\sigma}_{rr}^j$$

A9) Optimal control pulses for fast and robust entangling gates



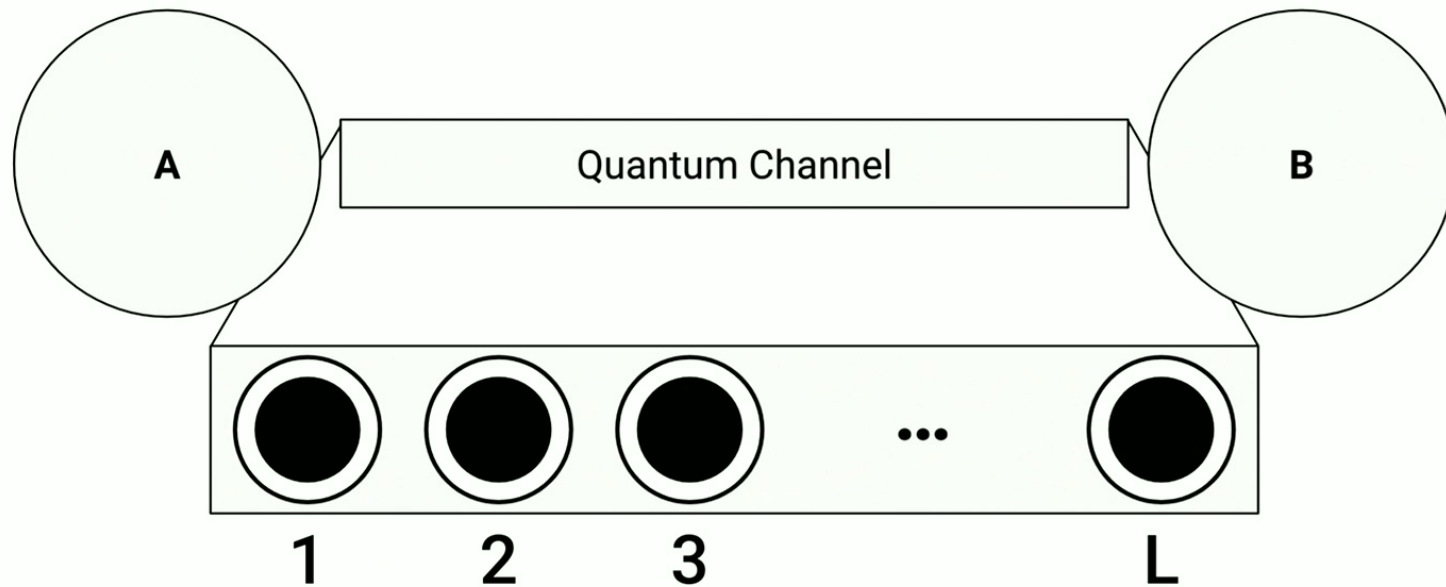
A9) Optimal control pulses for fast and robust entangling gates



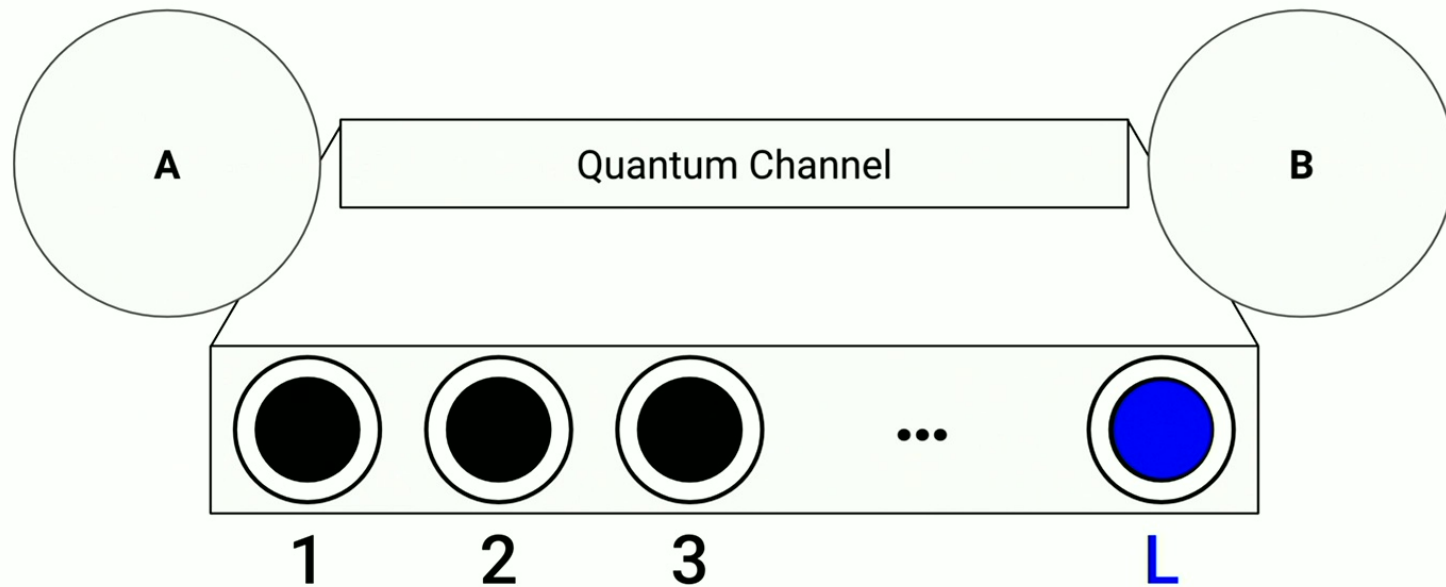
Artem Zhutov, Dr. Jeremy Flannery

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B1) Perfect transport of single Rydberg excitations in chains of neutral atoms

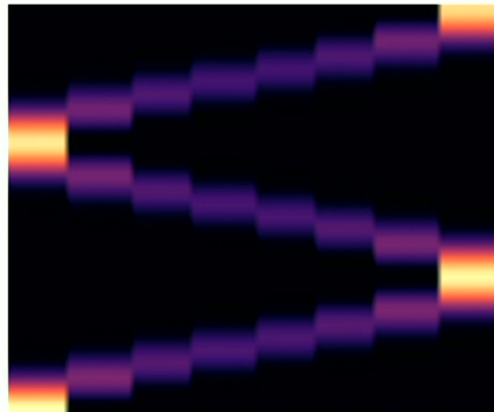
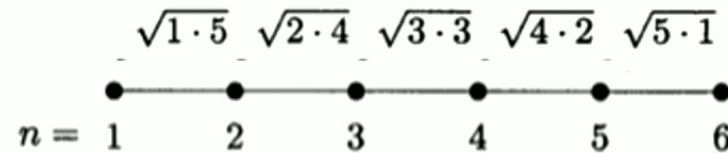


B1) Perfect transport of single Rydberg excitations in chains of neutral atoms



B1) Perfect transport of single Rydberg excitations in chains of neutral atoms

$$\hat{\mathcal{H}}_{\text{eff}} = \sum_i \mu_i \hat{\sigma}_+^i \hat{\sigma}_-^i + \sum_{i < j} J_{ij} \left(\hat{\sigma}_+^i \hat{\sigma}_-^j + \hat{\sigma}_+^j \hat{\sigma}_-^i \right)$$

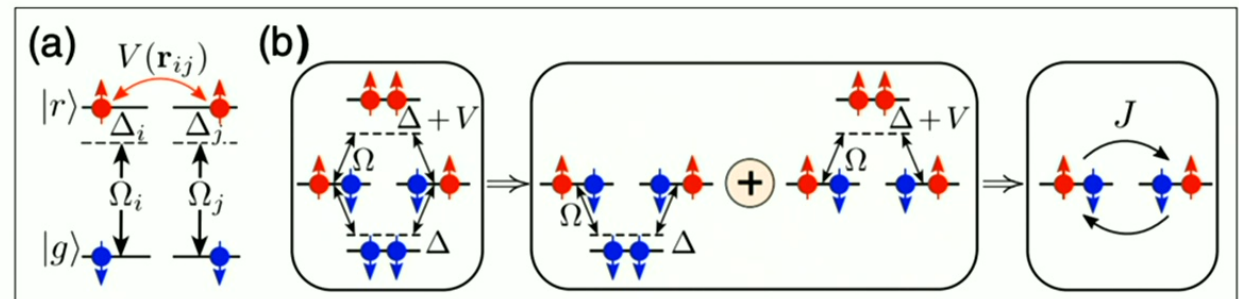


Quantum Speed Limit!

$$t_{\pi}(L) = \frac{\pi \bar{L}}{4J_{\text{max}}}$$

B1) Perfect transport of single Rydberg excitations in chains of neutral atoms

$$\hat{\mathcal{H}} = \sum_i^L \frac{\Omega_i}{2} \hat{\sigma}_x^i - \sum_i^L \Delta_i \hat{\sigma}_{rr}^i + \sum_{i < j} V_{ij} \hat{\sigma}_{rr}^i \hat{\sigma}_{rr}^j$$



$$\hat{\mathcal{H}}_{\text{eff}} = \sum_i \mu_i \hat{\sigma}_+^i \hat{\sigma}_-^i + \sum_{i < j} J_{ij} \left(\hat{\sigma}_+^i \hat{\sigma}_-^j + \hat{\sigma}_+^j \hat{\sigma}_-^i \right)$$

See Yang2019, Phys. Rev. Lett. 123, 063001 (2019)
Kent Ueno

B1) Perfect transport of single Rydberg excitations in chains of neutral atoms

$$\hat{\mathcal{H}} = \sum_i^L \frac{\Omega_i}{2} \hat{\sigma}_x^i - \sum_i^L \Delta_i \hat{\sigma}_{rr}^i + \sum_{i<j} V_{ij} \hat{\sigma}_{rr}^i \hat{\sigma}_{rr}^j$$

↓

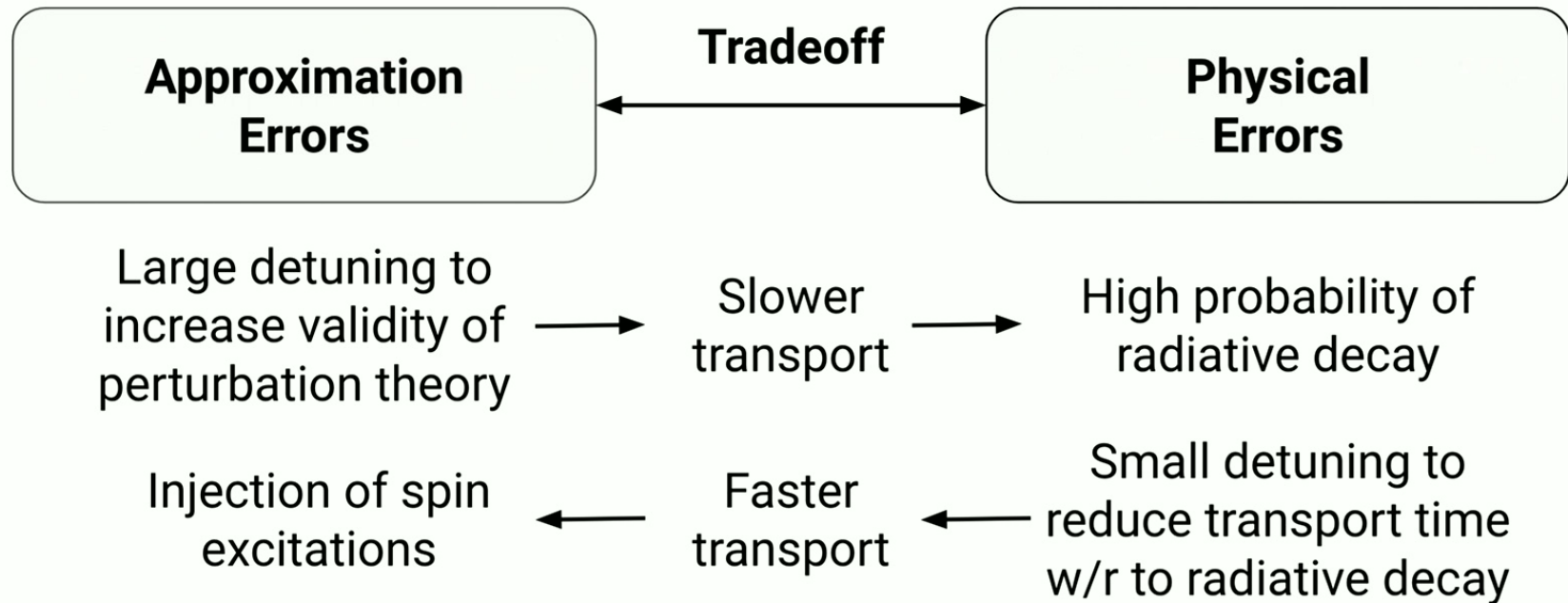
Hierarchy of approximations

- 1) 2nd order perturbation theory
- 2) Nearest-neighbor approximation

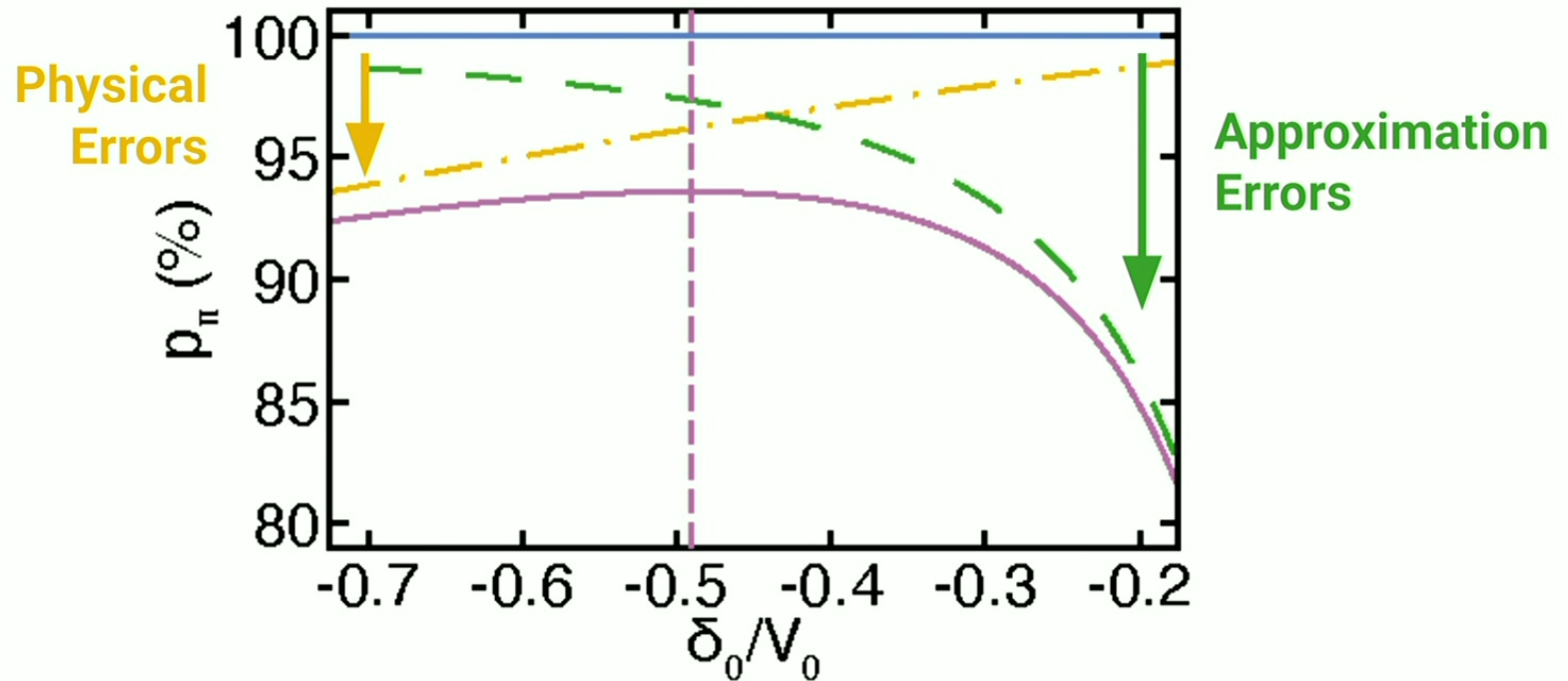
$$\hat{\mathcal{H}}_{\text{eff}} = \sum_i \mu_i \hat{\sigma}_+^i \hat{\sigma}_-^i + \sum_{i<j} J_{ij} \left(\hat{\sigma}_+^i \hat{\sigma}_-^j + \hat{\sigma}_+^j \hat{\sigma}_-^i \right)$$

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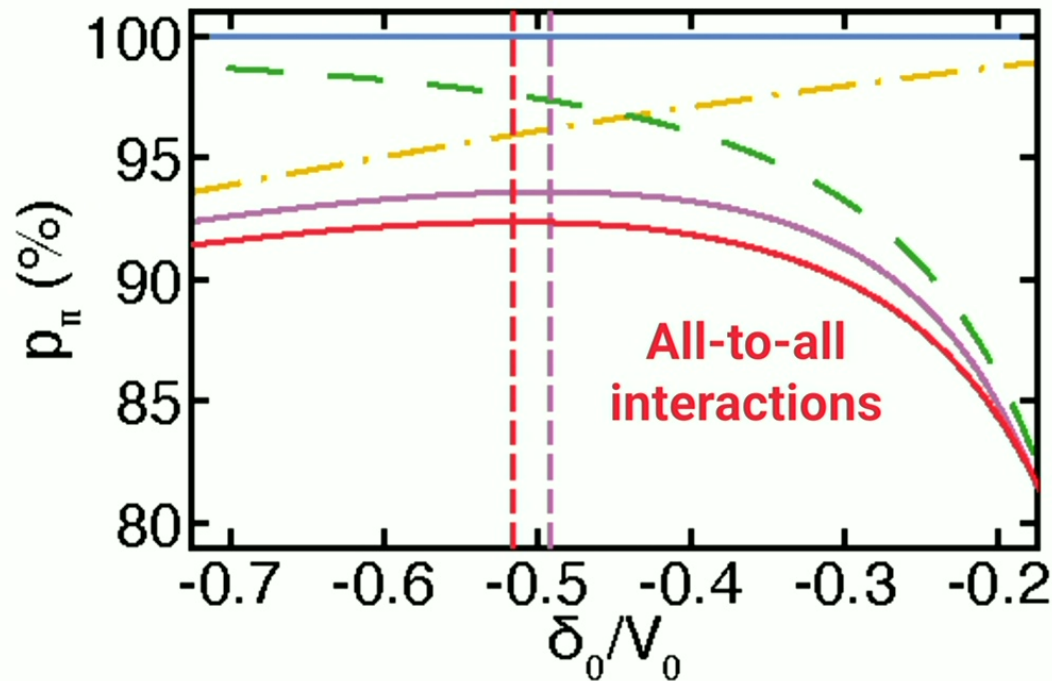
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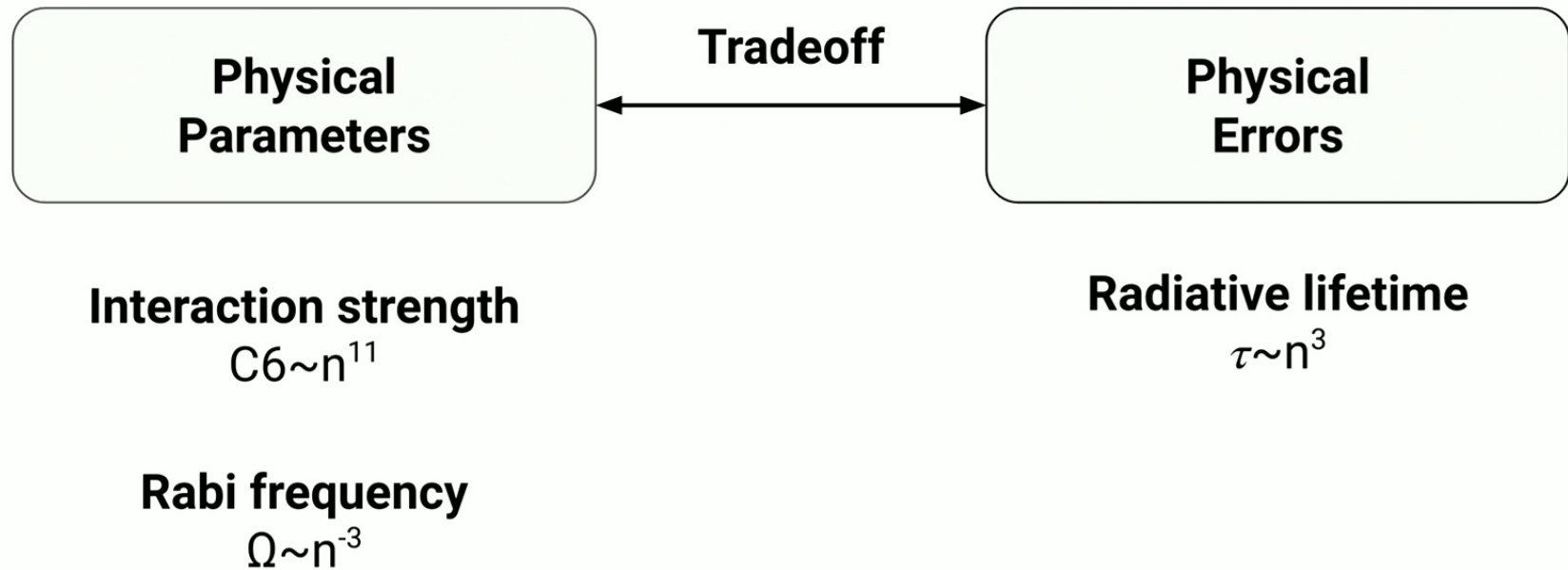
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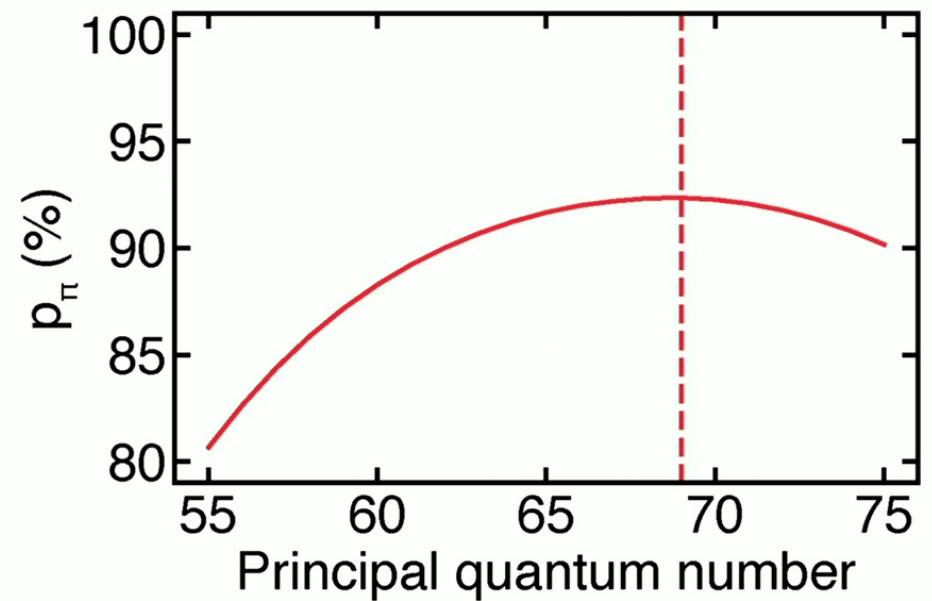
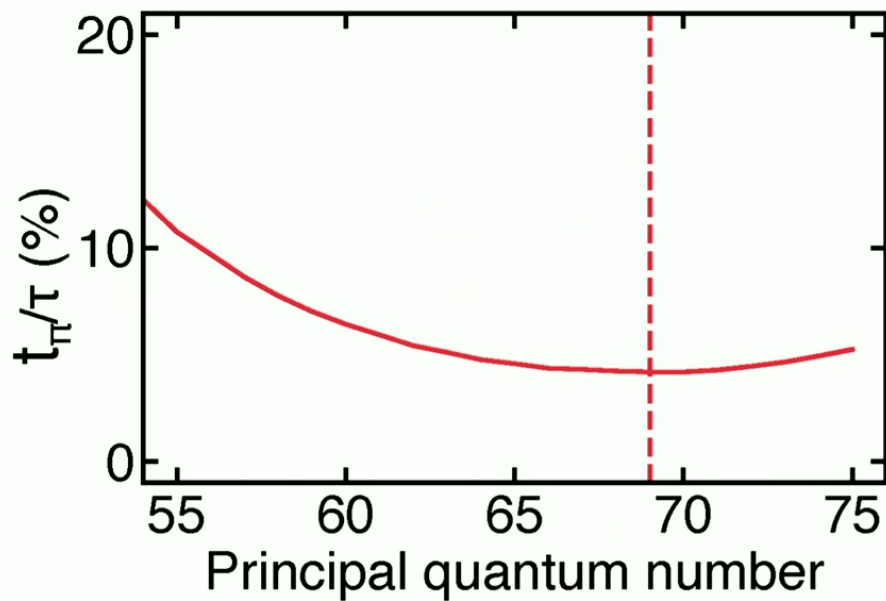
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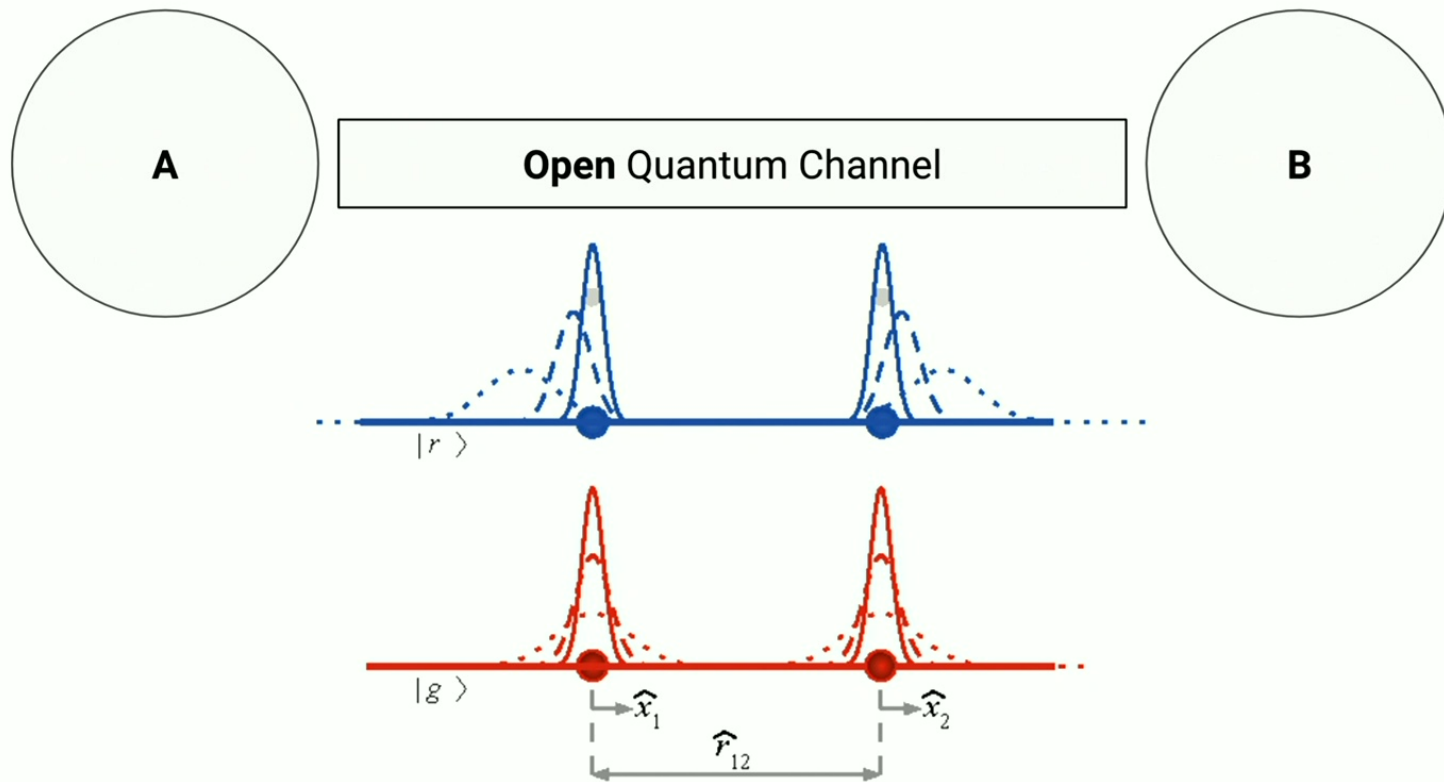
B1) Perfect transport of single Rydberg excitations in chains of neutral atoms



B1) Perfect transport of single Rydberg excitations in chains of neutral atoms



B2) Quantum channel for modeling spin-motion dephasing in Rydberg chains

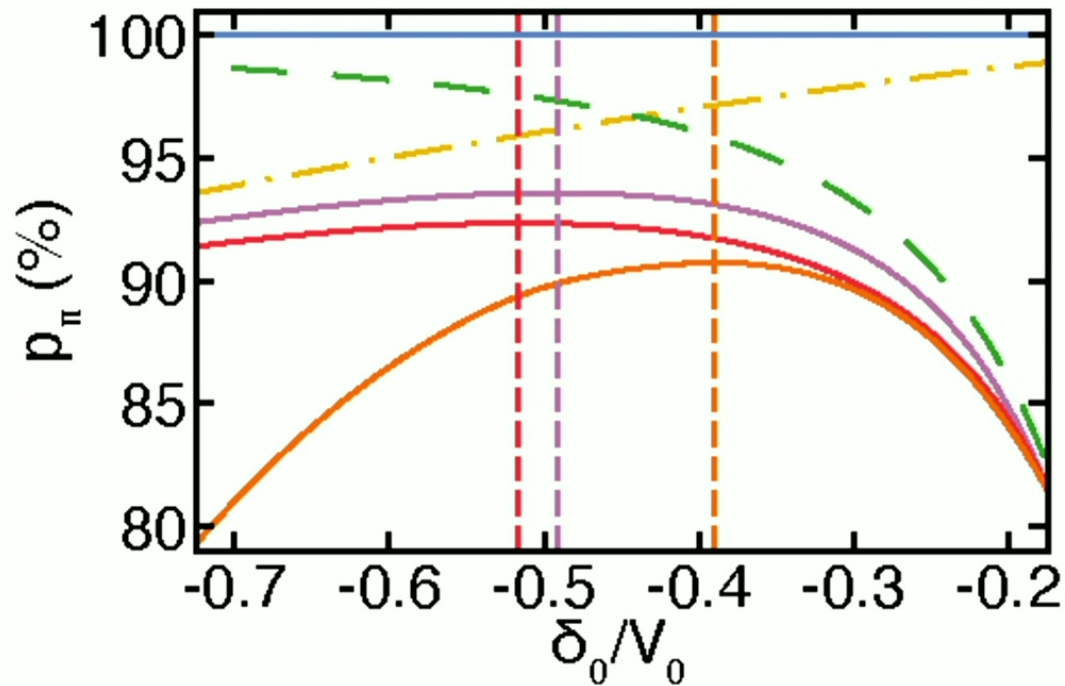


B2) Quantum channel for modeling spin-motion dephasing in Rydberg chains

$$\rho'_{nm}(t) = \Gamma_{nm}(t) \rho_{nm}^{\text{fga}}(t),$$

$$\Gamma_{nm}(t) = C_n^*(t) C_m(t) \gamma_{nm}(t)$$

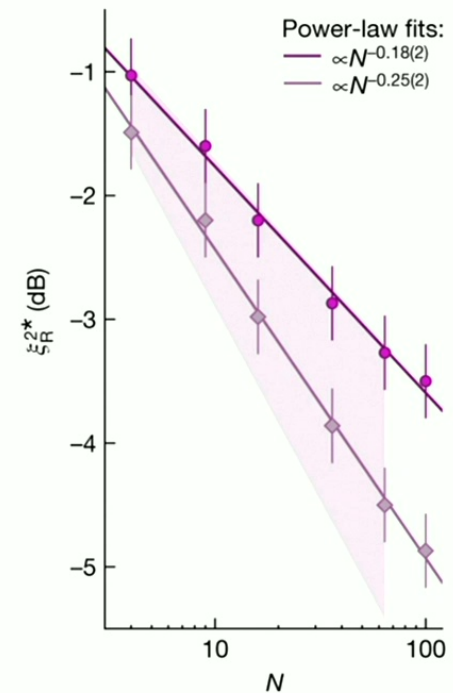
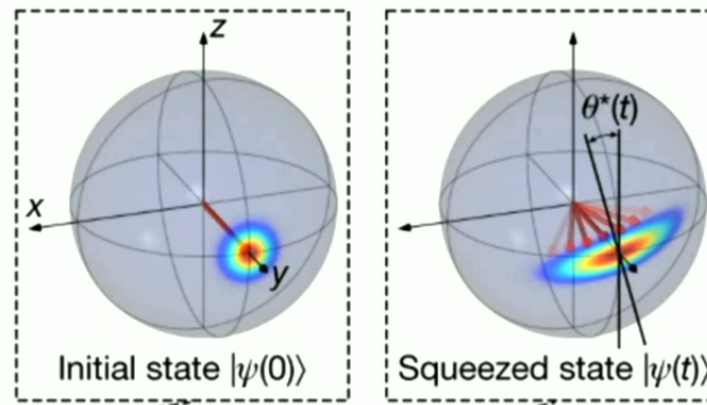
B2) Quantum channel for modeling spin-motion dephasing in Rydberg chains



B3) Scalable spin squeezing in two-dimensional dipolar spin lattices

$$\mathcal{H} = -\frac{J_d}{2} \sum_{i \neq j} \frac{1}{r_{ij}^3} (S_i^x S_j^x + S_i^y S_j^y)$$

$$\mathcal{H} = \chi J_z^2$$



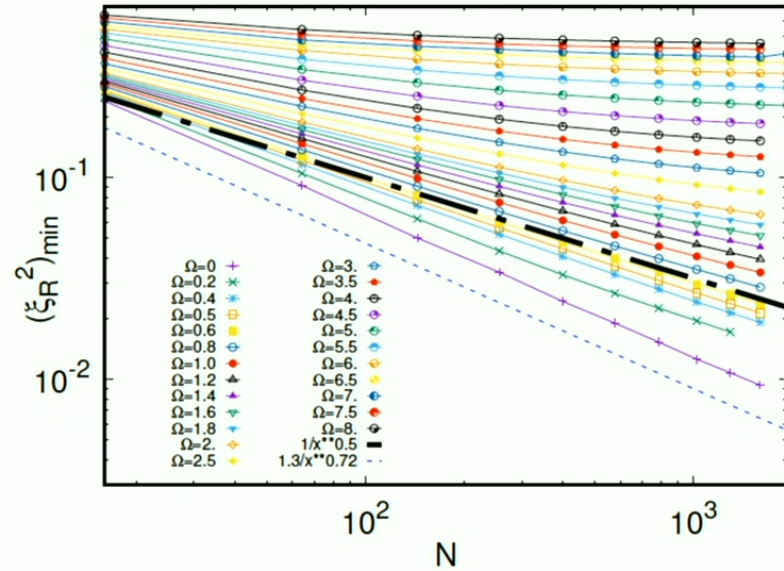
Inspired from *Nature* **621**, 728–733 (2023) from A. Browaeys

Collaborators: Dr. Meenu Kumari (NRC), Profs. Fabio Mezzacapo and Tommaso Roscilde (ENS Lyon)

B3) Scalable spin squeezing in two-dimensional dipolar spin lattices

$$\mathcal{H} = -\frac{J_d}{2} \sum_{i \neq j} \frac{1}{r_{ij}^3} (S_i^x S_j^x + S_i^y S_j^y) + \Omega \sum S_i^x$$

$$\mathcal{H} = \chi J_z^2 + \Omega J_x$$



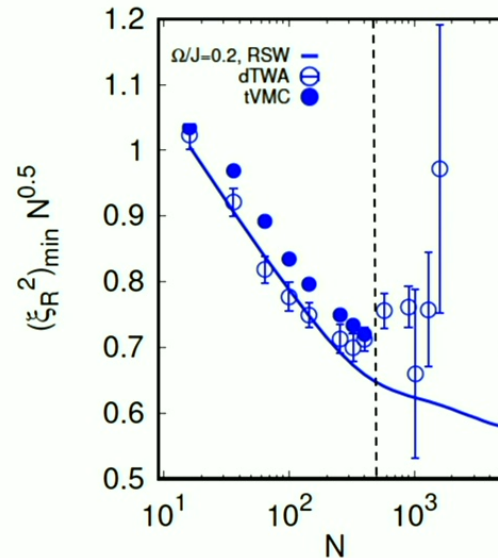
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Collaborators: Dr. Meenu Kumari (NRC), Profs. Fabio Mezzacapo and Tommaso Roscilde (ENS Lyon)

B3) Scalable spin squeezing in two-dimensional dipolar spin lattices

$$\mathcal{H} = -\frac{J_d}{2} \sum_{i \neq j} \frac{1}{r_{ij}^3} (S_i^x S_j^x + S_i^y S_j^y) + \Omega \sum_i S_i^x$$

$$\mathcal{H} = \chi J_z^2 + \Omega J_x$$



Inspired from *Nature* **621**, 728–733 (2023) from A. Browaeys

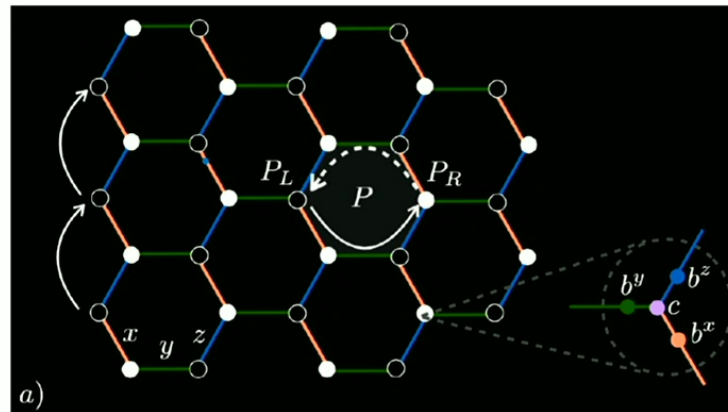
Collaborators: Dr. Meenu Kumari (NRC), Profs. Fabio Mezzacapo and Tommaso Roscilde (ENS Lyon)

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B4) Anomalous chiral edge flow in Kitaev Honeycomb model

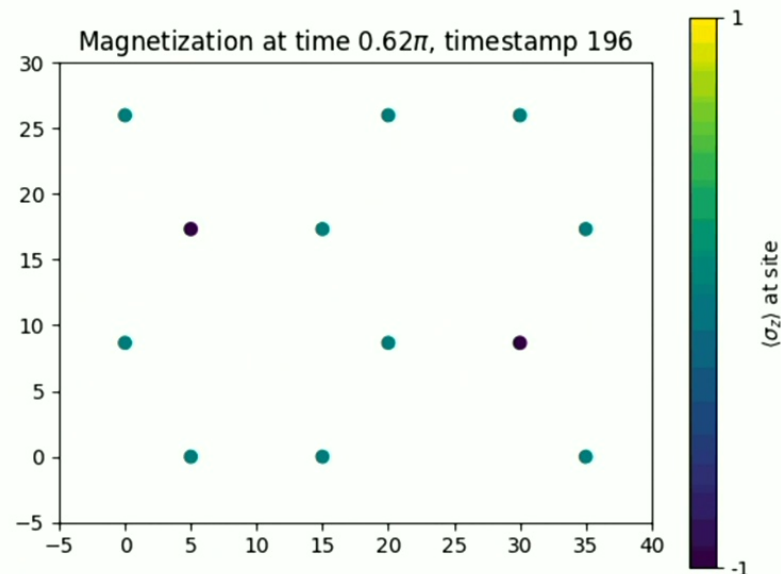
$$\mathcal{H} = \mathcal{H}_{XX} + \mathcal{H}_{YY} + \mathcal{H}_{ZZ}$$

$$\exp(-it\mathcal{H}) \approx \exp(it\mathcal{H}_F) = \sum_{n=1}^N \exp(-i\frac{t}{N}\mathcal{H}_{XX}) \exp(-i\frac{t}{N}\mathcal{H}_{YY}) \exp(-i\frac{t}{N}\mathcal{H}_{ZZ})$$



Collaborators: Dr. Jacob Lin (Maryland)

B4) Anomalous chiral edge flow in Kitaev Honeycomb model



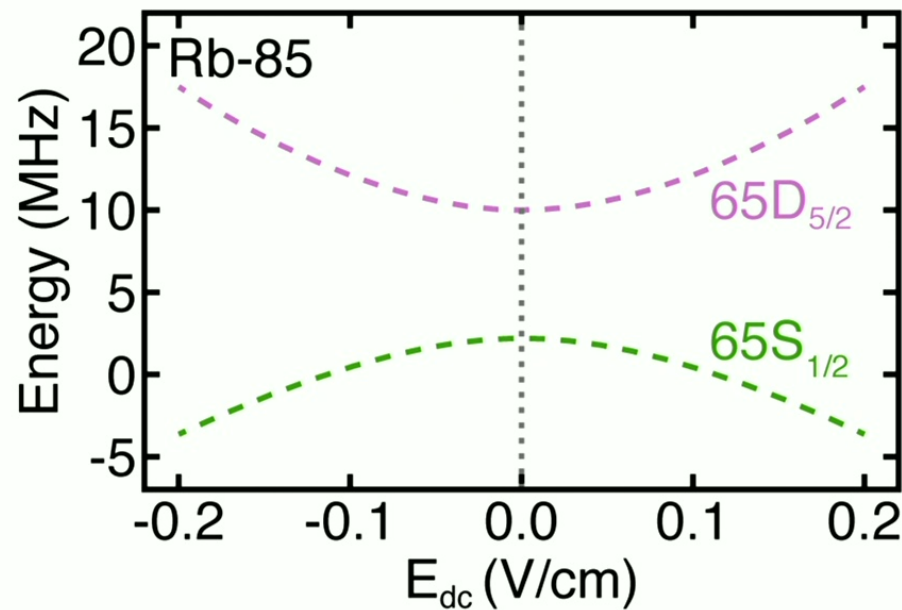
$$\mathcal{H}(t) = \mathcal{H}(t + T)$$

$$T = \frac{3\pi}{4J}$$

Collaborators: Dr. Jacob Lin (Maryland)

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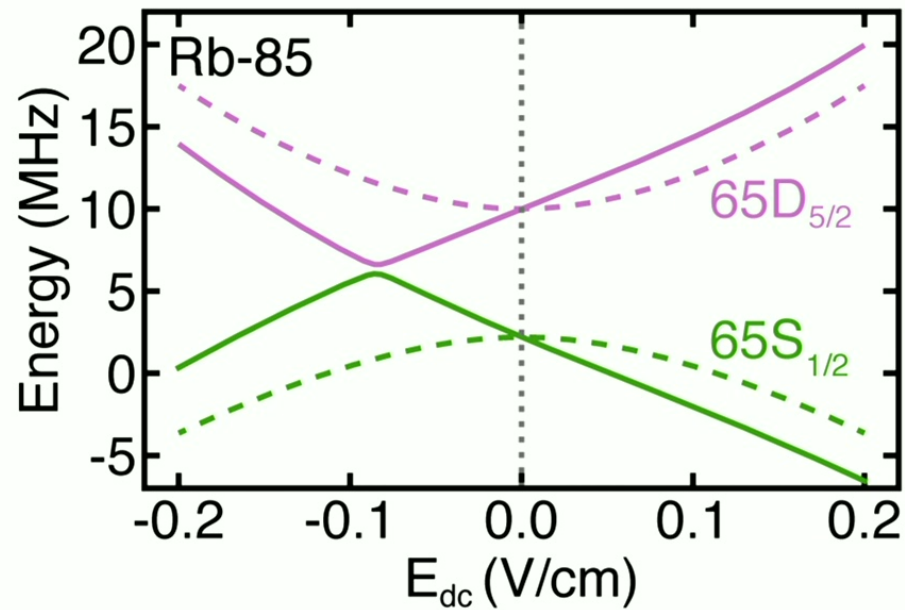
C2) Rydberg DC electrometry using bichromatic Floquet engineering



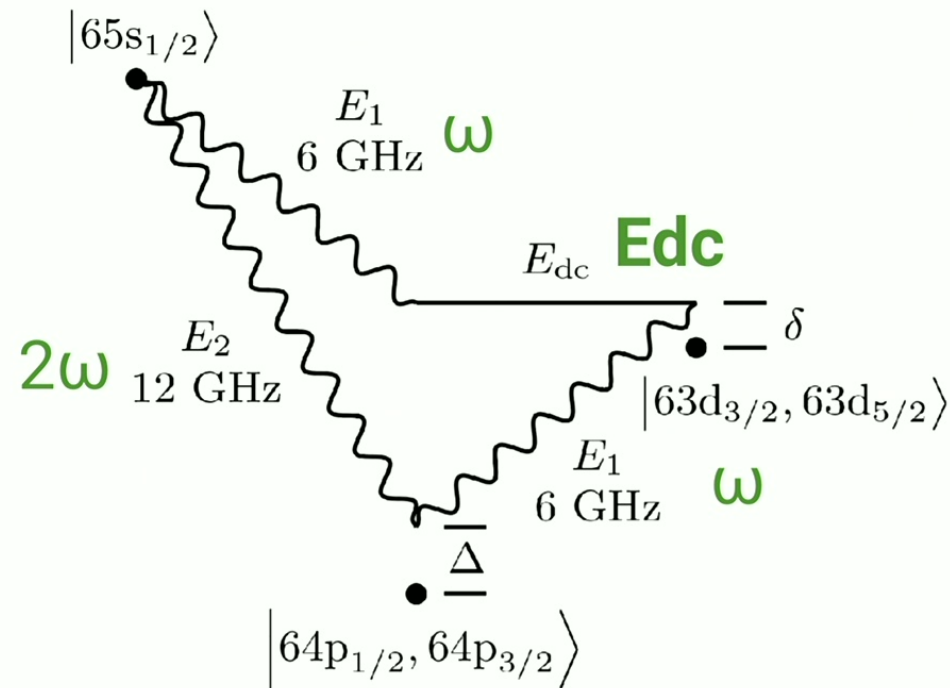
Dr. Chris Wyenberg, Prof. Jim Martin (Waterloo)

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C2) Rydberg DC electrometry using bichromatic Floquet engineering

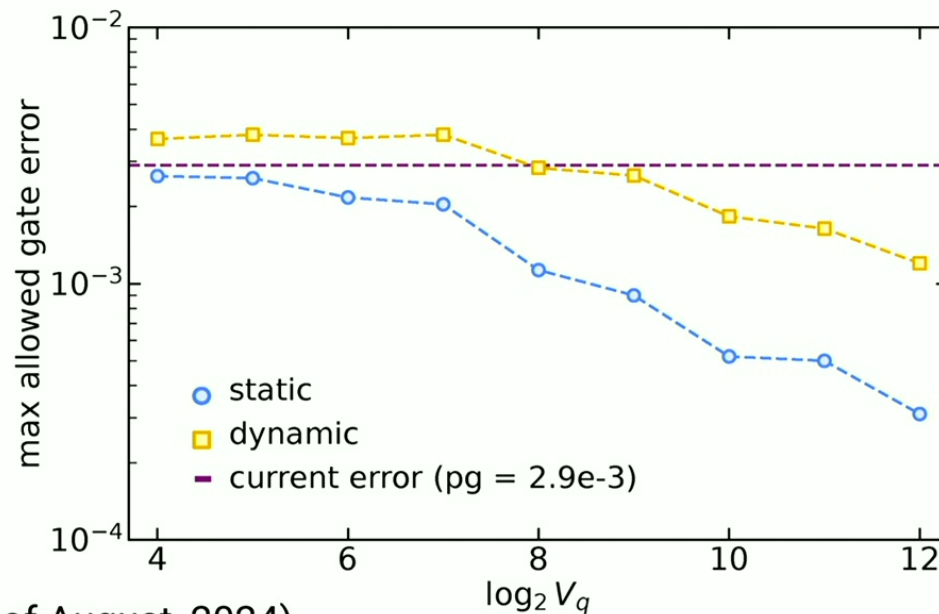


C2) Rydberg DC electrometry using bichromatic Floquet engineering



C3) Performance of quantum processors with dynamic connectivity

Estimated Quantum Volume QV=7
with Realistic Error Models



See: Quantinuum (QV=21 as of August, 2024)
Parth Padia, Shreya JVS, Dr. Anton Borissov

So... what's next?

- Mention us as **collaborators** in your grant applications!
- Let's co-apply for Germany-Canada **funding**!
- Let's **exchange** students and postdocs!
- Visit our lab in RA2 before your leave!
- Visit our website: quantum-simulators.com
- Use our code: <https://github.com/TQT-RAAQS/LLRS/>