

Title: AdS/CFT Lecture (230505)

Speakers: David Kubiznak

Collection: AdS/CFT (2022/2023)

Date: May 05, 2023 - 9:00 AM

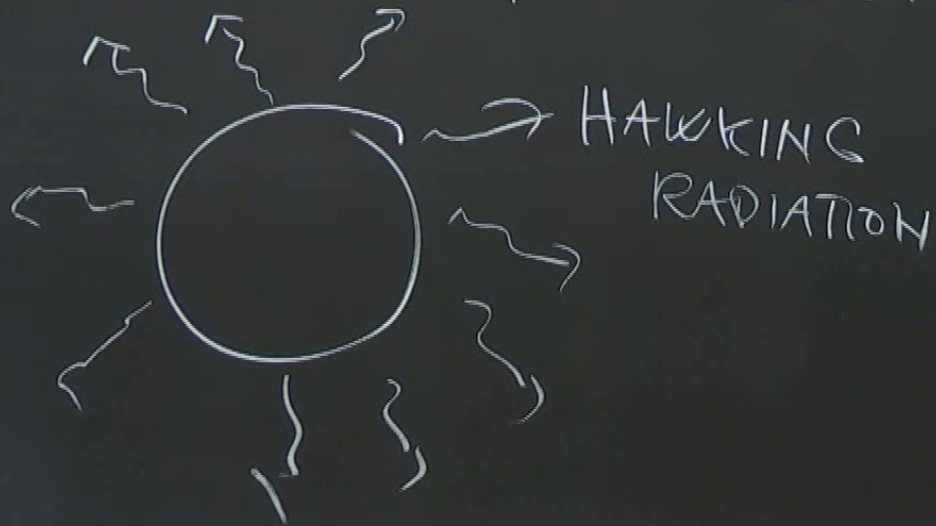
URL: <https://pirsa.org/23050009>

# BACK TO BH INFORMATION PARADOX

BASED ON: ARXIV:2006.06872

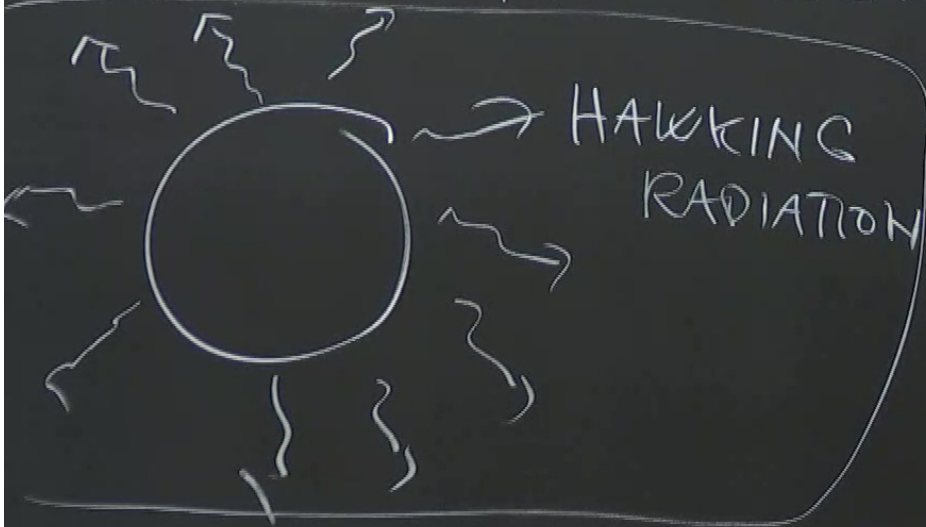
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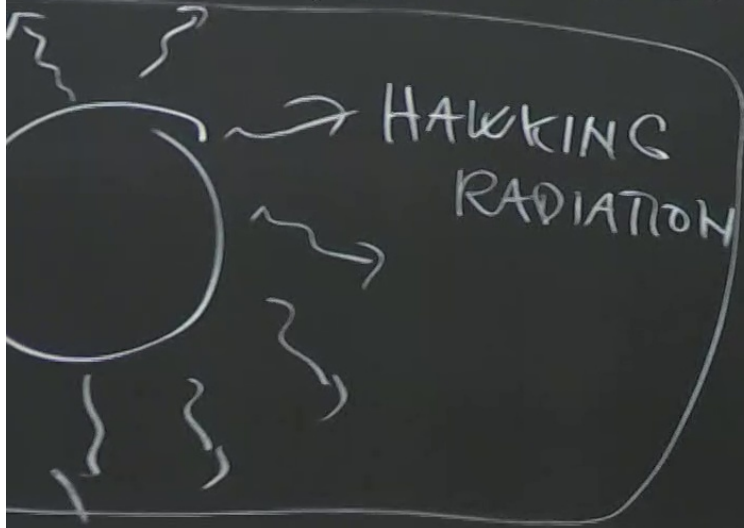
BASED ON: ARXIV:2006.06872



- DUE TO ADS/CFT EVOLUTION SHOULD BE UNITARY.
- CONTRADICTION, IF BH EVAPORATION

# TO BH INFORMATION PARADOX

ED ON: ARXIV: 2006.06872



- DUE TO ADS/CFT EVOLUTION SHOULD BE UNITARY.
- CONTRADICTION, IF BH EVAPORATES COMPLETELY - SEEM TO HAVE MIXED.

a)T

## a) TWO TYPES OF ENTROPIES

- QUANTUM MECHANICAL - VON-NEUMANN (FINE GRAINED)

$$S_{VN} = - \text{Tr} \rho \log \rho$$

- INVARIANT UNDER TIME EVOLUTION

TES  
FIXED,

... (SPLITTED)

$$S_{VN} = -\text{Tr} \rho \log \rho$$

- INVARIANT UNDER TIME EVOLUTION
- PURE STATE:  $\mathcal{H} = \mathcal{H}_A \otimes \mathcal{H}_{B-A}$   
 $S(A) = S(B)$ ,  $S(A \cup B) = 0$

TES  
FIXED,

• THERMODYNAMIC (COARSE-GRAINED)

$$S_{TD} = \max_{\rho} \left( -T_n(\rho \log \rho) \right)$$

CONSISTENT WITH

$$a_i = T_n(\rho A_i)$$

$$E = T_n(\rho H)$$



CAN TO HAVE FIXED,

- MEASURES DOF. AVAILABLE TO SYSTEM  
(CONSISTENT WITH THE OBSERVATION)

$$S_{UH} \leq S_{TD}$$

- MEASURES DOF. AVAILABLE TO SYSTEM  
(CONSISTENT WITH THE OBSERVATION)

$$S_{VH} \leq S_{TD}$$

- RECALL: IN THE PRESENCE OF BHS.

(CONSISTENT WITH THE OBSERVATION)

$$S_{UH} \leq S_{TD}$$

LL: IN THE PRESENCE OF BHS: GENERALIZED ENTROPY

$$S_{GEN} = S_{BH} + S_{OUTSIDE}$$

(CONSISTENT WITH THE OBSERVATION)

$$S_{\text{UH}} \leq S_{\text{TD}}$$

LL: IN THE PRESENCE OF BHS: GENERALIZED ENTROPY

$$S_{\text{GEN}} = S_{\text{BH}} + S_{\text{OUTSIDE}} : \text{OBEY 2ND LAW}$$
$$\Delta S_{\text{GEN}} \geq 0$$

(CONSISTENT WITH THE OBSERVATION)

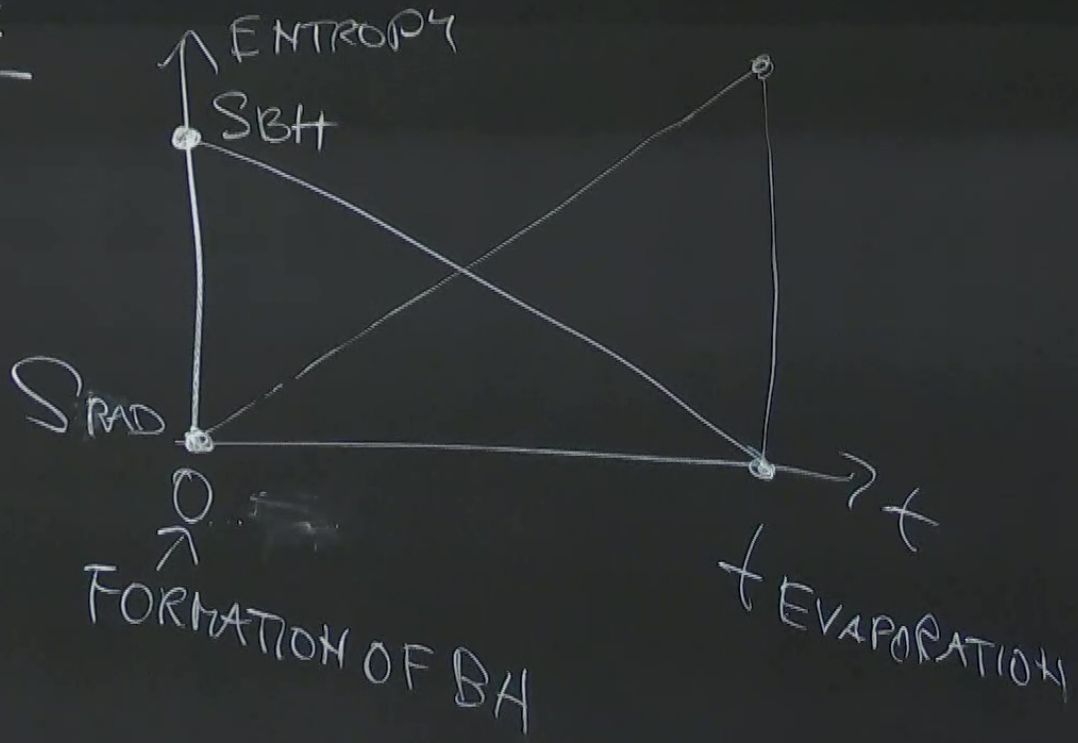
$$S_{UH} \leq S_{TD}$$

LL: IN THE PRESENCE OF BHS: GENERALIZED ENTROPY

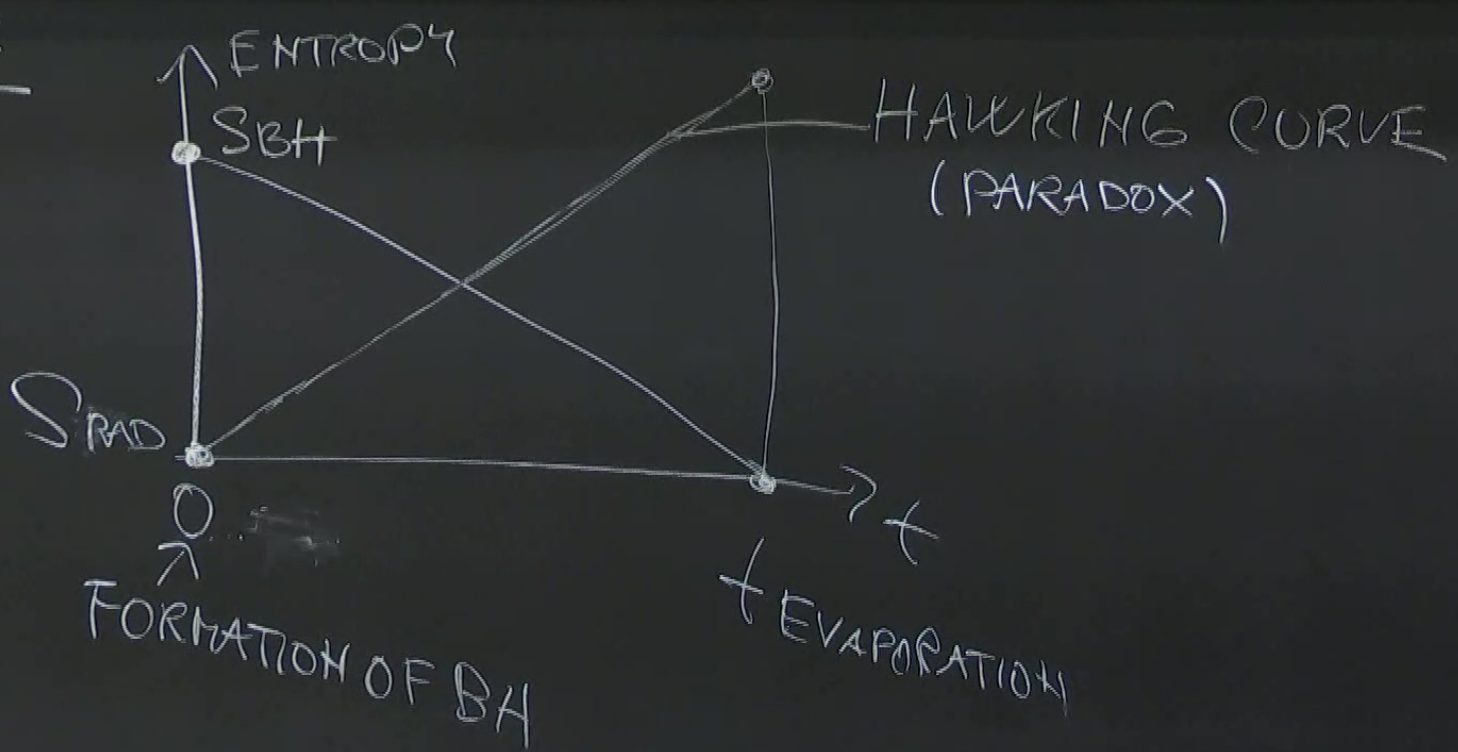
$$S_{GEN} = S_{BH} + S_{OUTSIDE} : \text{OBEY 2ND LAW}$$

$\Delta S_{GEN} \geq 0$

b) PAGE:



b) PAGE:



1D 1D ASSEN - U

SPLIT SPACETIME INTO 2 REGIONS: A: BH  
B: OUTSIDE OF BH.

IF UNITARY EVOLUTION.

$$S(A) = S(B) \Leftrightarrow S_{BH} = S_{RAD}$$



SPLIT SPACETIME INTO 2 REGIONS: A: BH  
 B: OUTSIDE OF BH,

IF UNITARY EVOLUTION.

$$\widetilde{S}(A) = \widetilde{S}(B) \Leftrightarrow$$

$$\widetilde{S}_{BH} = S_{RAD}$$

VON NEUMANN ?

$$\widetilde{S}_{BH} \leq S_{BH}$$

VON N.

$$S_{BH}$$

BEKENSTEIN-HAWK.

SPLIT SPACETIME INTO 2 REGIONS: A: BH  
 B: OUTSIDE OF BH,

IF UNITARY EVOLUTION:

$$\tilde{S}(A) = \tilde{S}(B) \Leftrightarrow$$

$$\tilde{S}_{BH} = S_{RAD}$$

VON NEUMANN

$$\tilde{S}_{BH} \leq S_{BH}$$

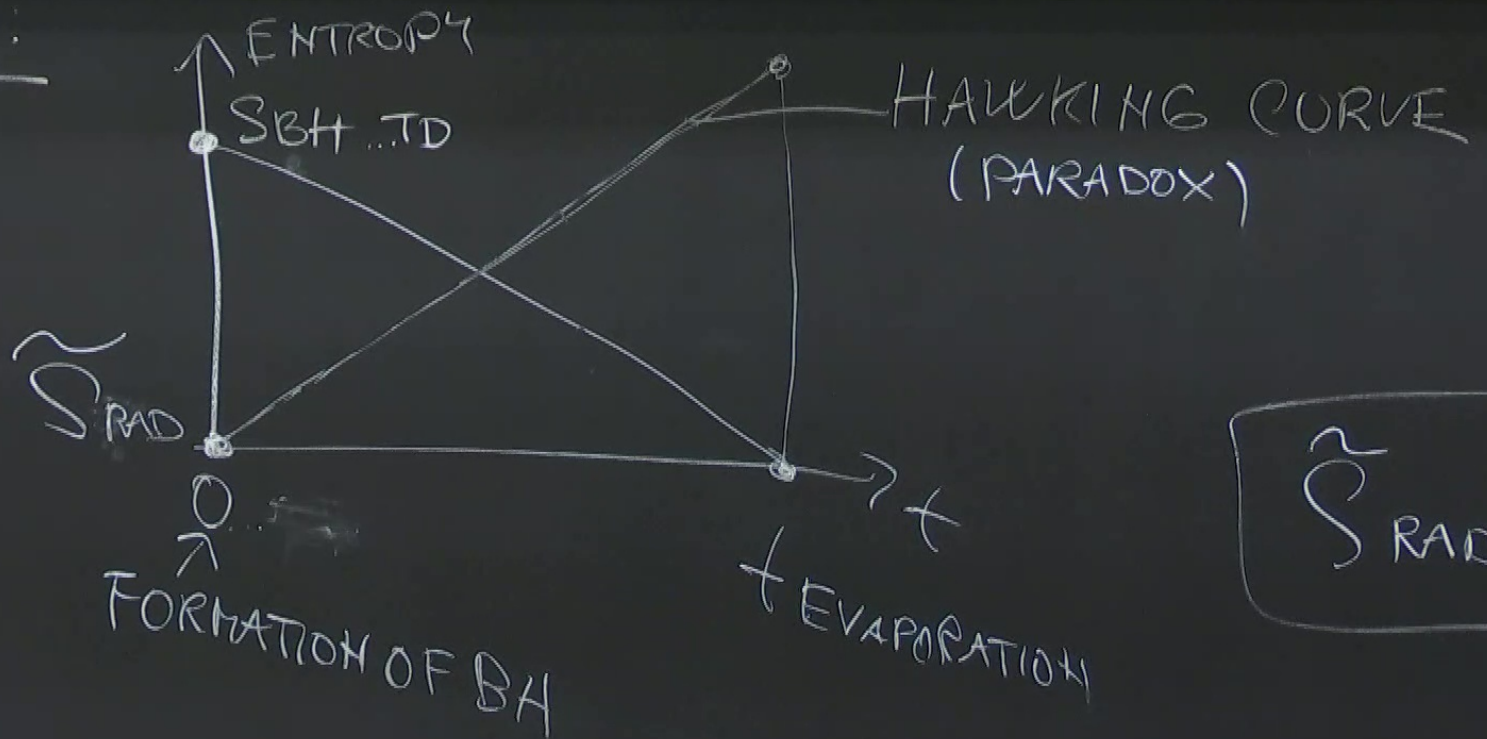
VON N.

$$S_{BH}$$

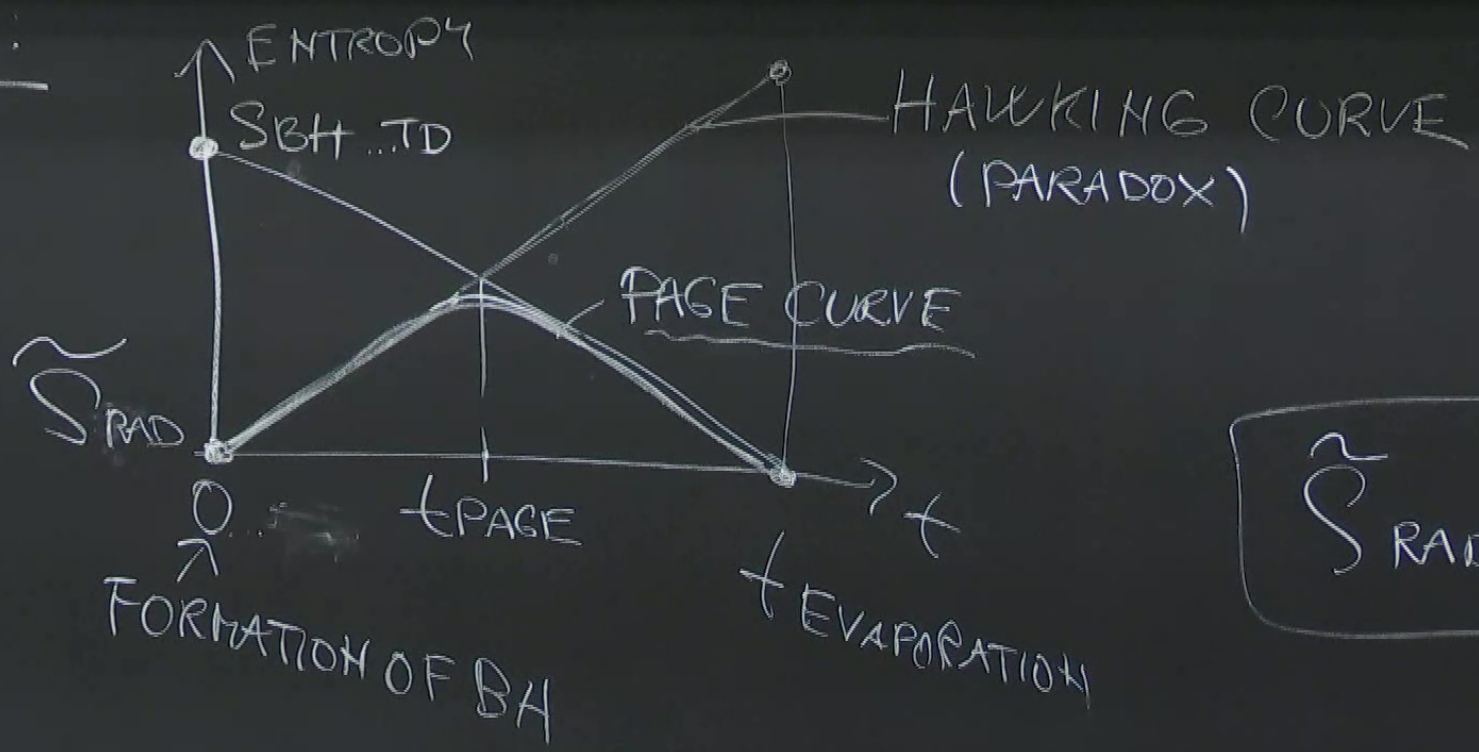
BEKENSTEIN-HAWK.

$$\tilde{S}_{RAD} \leq S_{REK HAWK}$$

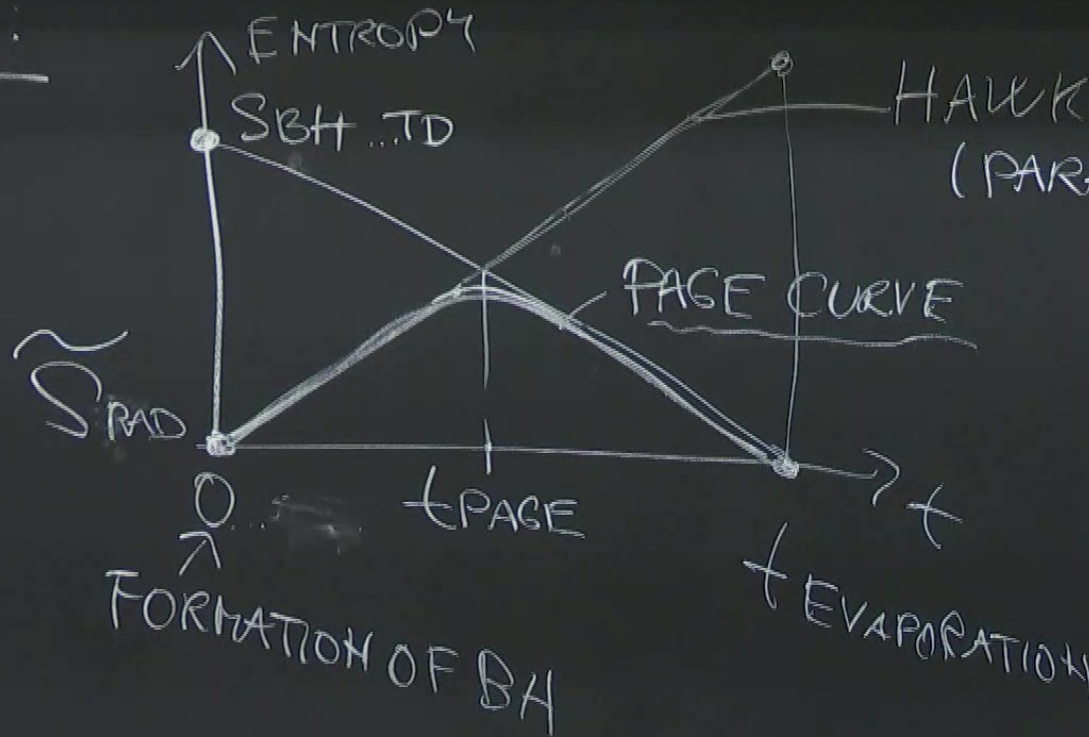
b) PAGE:



b) PAGE:



PAGE:



SPLIT

IF 0

$$\tilde{S}_{RAD} \neq \tilde{S}_{BH}$$

↑  
VON N

c) HOW DO WE CALCULATE  $\tilde{S}_{\text{RAD}}$  ( $\tilde{S}_{\text{BH}}$ ) ?

$$S = \text{MIN}_X \left( \text{EXTR}_X \left( \frac{\text{AREA}(X)}{4G} \right) + S_{\text{SEMICLASS}}(\Sigma_X) \right)$$

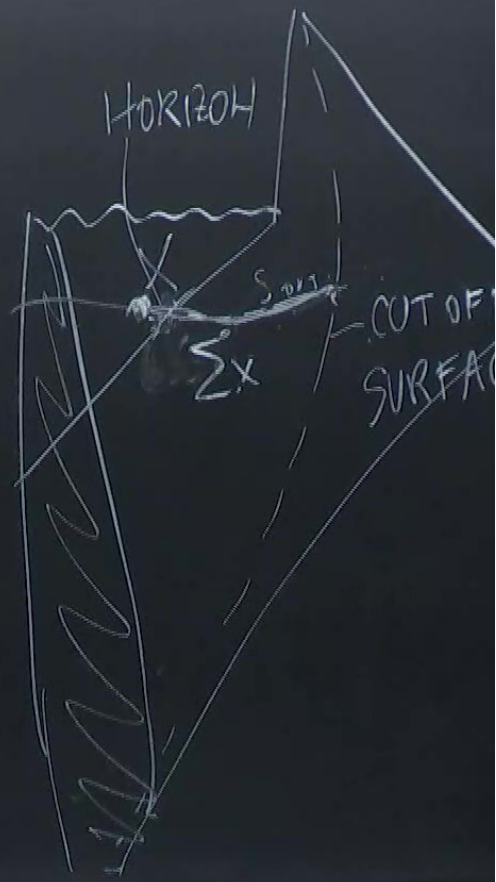
QUANTUM EXTREMAC  
SURFACE

ATE  $\tilde{S}_{\text{RAD}} (\tilde{S}_{\text{BH}}) ?$

EXTR. X

$$\left( \frac{\text{AREA}(X)}{4G} + S_{\text{SEMICLASS}}(\Sigma_X) \right)$$

SCEN.



FULL VON-NEUMANN GRAV ENTROPY  
OF GRAVITATING SYSTEMS

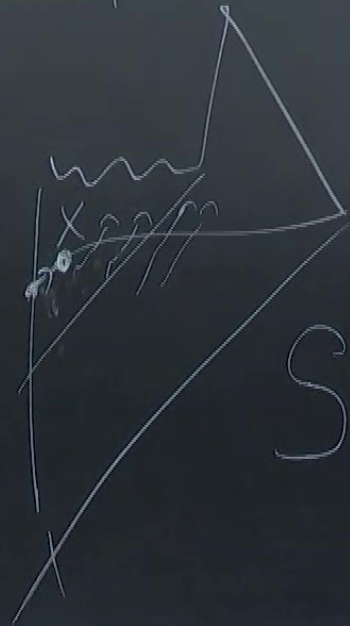
d) PAGE CURVE RECOVERY: FAIRY TALE,  
WE DO NOT NEED QG TO RECOVER THIS  
AS AT  $t_{PAGE}$ , BH IS STILL VERY  
BIG & CLASSICAL.



VERY

X  
( $\tau=0$ )

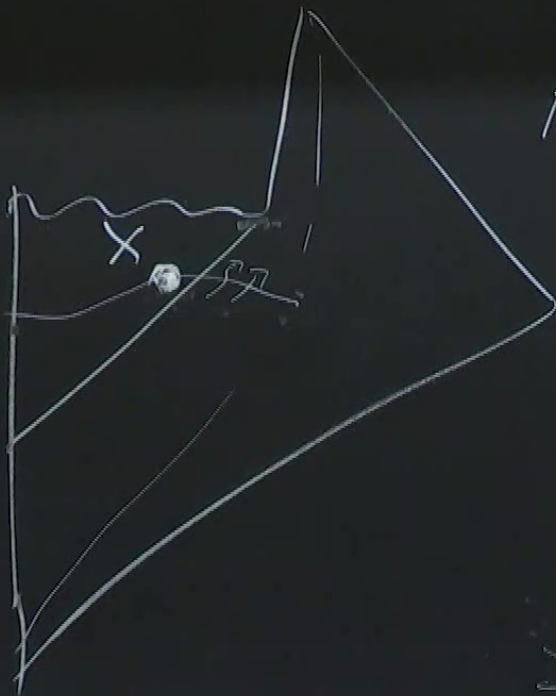
$$S=0$$



$S_{SEM} \neq 0$   
AREA  $\neq 0$

S SLOWLY  
INCREASES

iii) AROUND EPAGE:



$$\frac{\text{AREA}(X)}{4} \approx S_{\text{BH}}$$

X... CLOSE TO  
BH HORIZON

$$S \approx S_{\text{BH}}$$

LATER AS BL  
SO WILL B.

$(\Sigma_X)$

SCIND

HORIZON

$\Sigma_X$

BH

CUTOFF SURFACE

$$\bar{S}_{RAD} = \frac{AREA(X)}{4G} + S_{SEE} \text{ (ISLAND FOOT)}$$

V ENTROPY

STEAD

EVAPORATION

