

Title: Quantum Field Theory in Curved Spacetime (AM) - 2023-03-03

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Collection: Quantum Field Theory in Curved Spacetime

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URL: <https://pirsa.org/23030088>

Abstract: <https://pitp.zoom.us/j/95867663528?pwd=dmd5Y3FaVHJ0SnJWSlFscEY4cmhYUT09>

- a) physics of BHs
- b) very early universe

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Literature: Birrell, Davies "Quantum
Fields in Curved Space"
+ original papers

II) Derivation of BH entropy

J. Bekenstein : PRD, 7, 2333 (1973)
PRD, 9, 3292 (1974)

$$1. \quad ds^2 = -\left(1 - \frac{2M}{r}\right) dt^2 + \frac{dr^2}{1 - \frac{2M}{r}} + r^2 d\Omega^2, \quad r > 2M$$

$$\hbar = c = G = 1 \quad ; \quad g_{\mu\nu} = (-, +, +, +) \rightarrow \left(1 - \frac{2M}{r}\right)(-dt^2 + dr_*^2)$$

Kruskal coordinates

$$u = t - r_*, \quad v = t + r_*$$

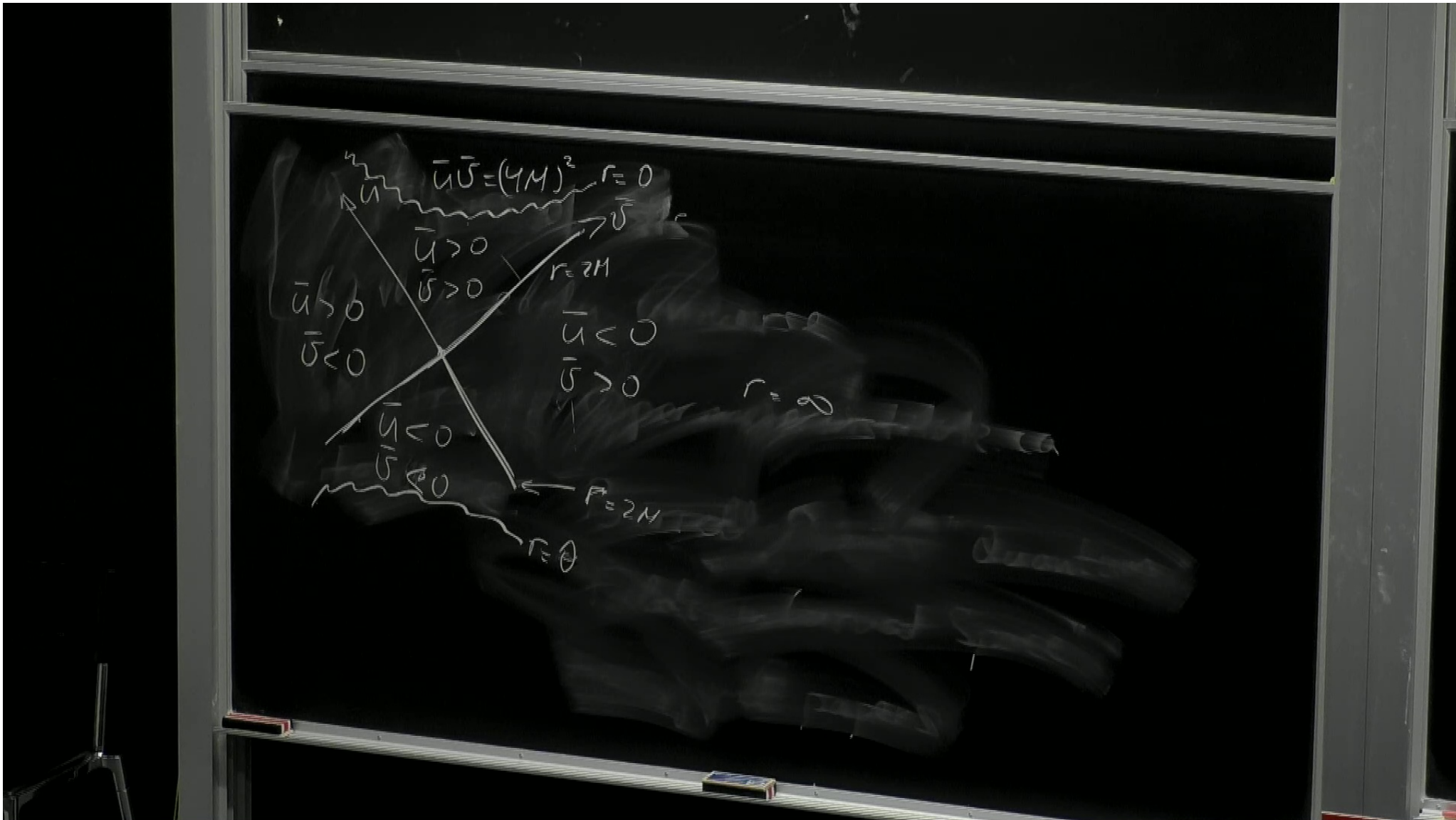
$$r_* = \int \frac{dr}{1 - \frac{2M}{r}} = r + 2M \ln\left(\frac{r}{2M} - 1\right)$$

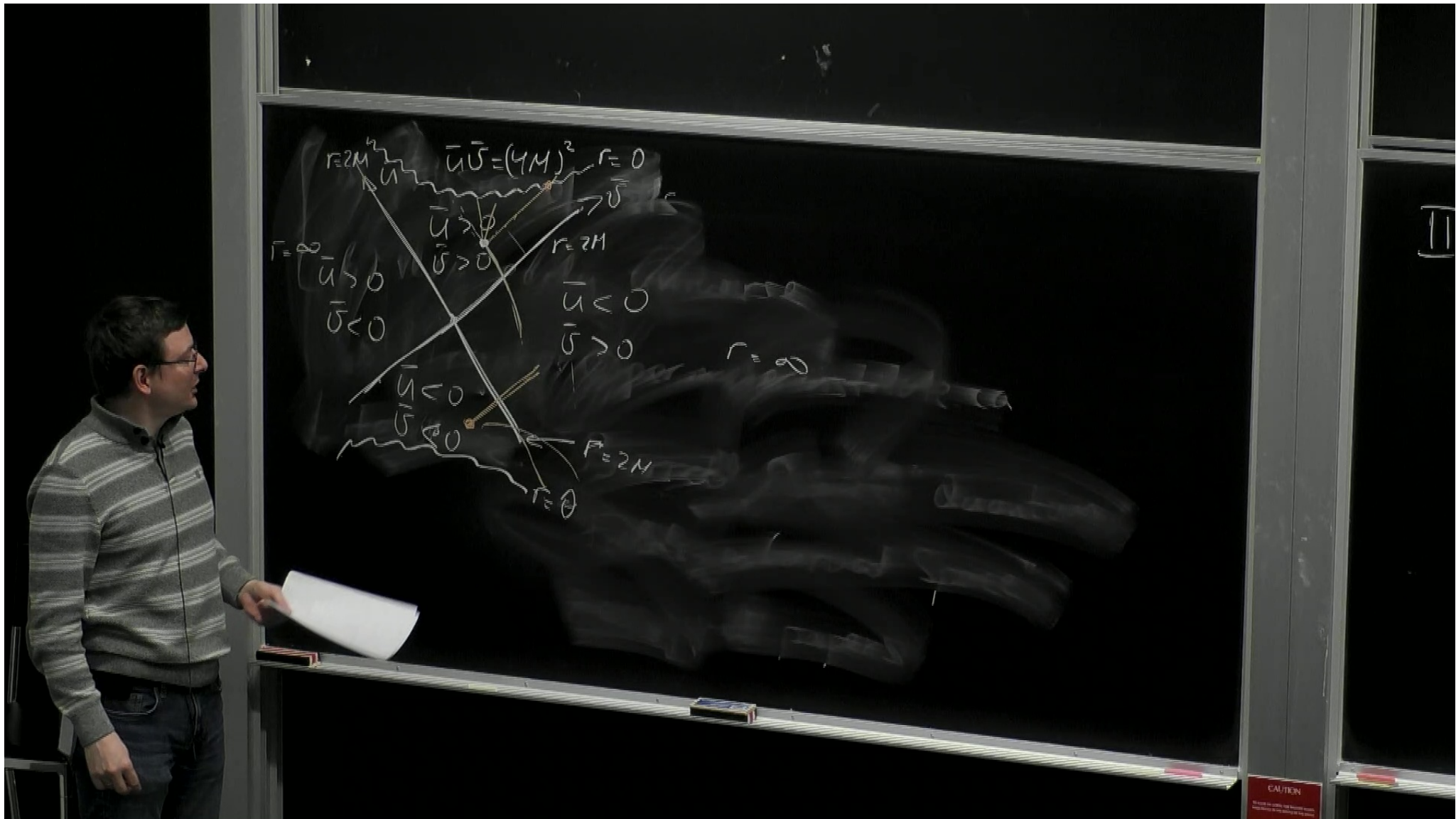
$$ds^2 = - \left(1 - \frac{2M}{r}\right) du dv + r^2 d\Omega^2$$

$$\left. \begin{aligned} \bar{u} = f(u) &= -4M e^{-\frac{u}{4M}} \\ \bar{v} = g(v) &= 4M e^{\frac{v}{4M}} \end{aligned} \right\} -\infty < \bar{u} < 0, \quad 0 < \bar{v} < \infty$$

$$ds^2 = - \frac{2M}{r(\bar{u}, \bar{v})} e^{-\frac{r(\bar{u}, \bar{v})}{2M}} d\bar{u} d\bar{v} + r^2(\bar{u}, \bar{v}) d\Omega^2$$

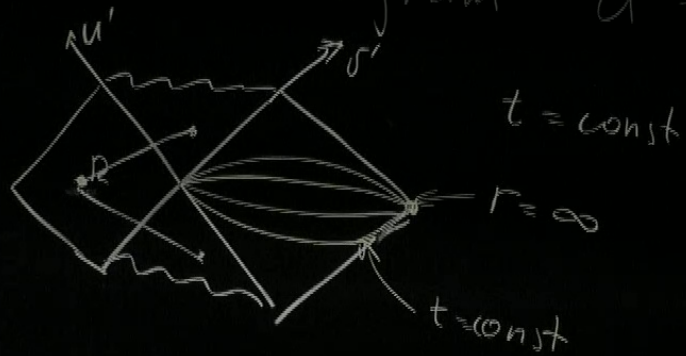
$\bar{u} \bar{v} = 4M \left(1 - \frac{r}{2M}\right) e^{\frac{r}{2M}}$



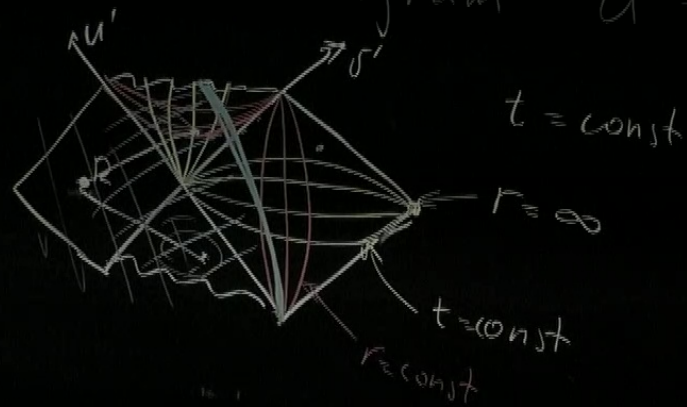


Penrose diagram $\bar{u}' = \text{tg } \frac{\bar{u}'}{2}$, $\bar{v} = \text{tg } \frac{v'}{2}$

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II)

Ex 1. Draw Penrose diagram

Minkowski space

a) 4d

b) 2d

$$2. M, \exists ((Q_1, Q_2, \dots))$$

$$\text{Proposal: } S_{BH} = \alpha \cdot A_{\text{horizon}} \stackrel{\text{Sch.}}{=} \alpha \cdot 16\pi M^2$$



$$\text{or } \frac{\text{qubit}}{\text{area}} S_P = \ln 2$$