

Title: Quantum Foundations Lecture - 230123

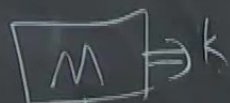
Speakers: Lucien Hardy

Collection: Quantum Foundations (2022/2023)

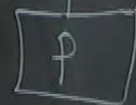
Date: January 23, 2023 - 10:15 AM

URL: <https://pirsa.org/23010052>

The Harrigan Spekkens Classification Scheme 2010



λ — hidden variables
ontic state
the underlying
state of reality



$$\lambda \in \Lambda$$

$$P(\lambda|P)$$



$$\text{prob}(k | P, M) = \int d\lambda \, p(k | M, \lambda) p(\lambda | P)$$

This is the ontological model framework.

ψ -complete

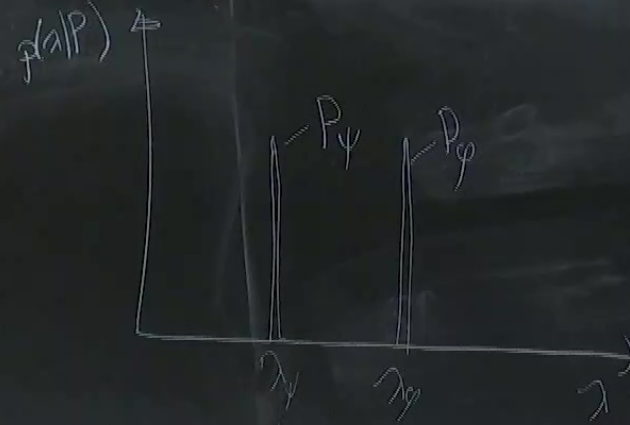
An ontological model for QT is ψ -complete if there is a one to one map between λ and $|\psi\rangle\langle\psi|$ where $|\psi\rangle$ is associated with P for all pure preparations.

ψ -complete

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This means that

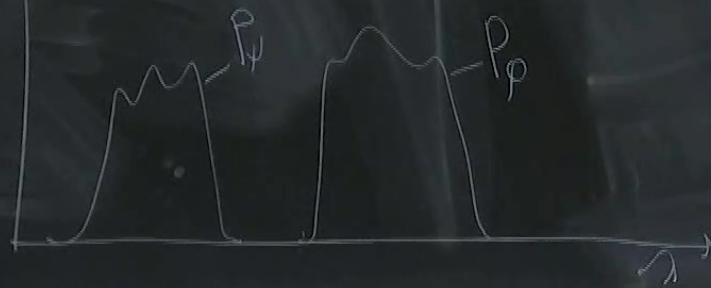
$$p(\lambda|P_\psi) = \delta(\lambda - \lambda_\psi)$$

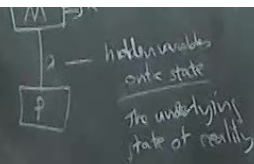


ψ -incomplete - not ψ -complete

ψ -ontic An ontological model is ψ -ontic if,
for any pair of ^{distinct} preparations associated with pure states

we have $p(\lambda/P_\psi) p(\lambda/P_\phi) = 0 \quad \forall \lambda$





This is the ontological model framework.

ψ -complete An ontological model for QT is ψ -complete if there is a one-to-one map between λ and $|\psi\rangle\langle\psi|$ where $|\psi\rangle$ is associated with P (for all pure preparations). This means that

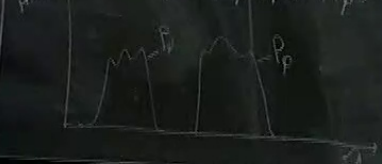
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$|\psi\rangle = (|0\rangle + |1\rangle)/\sqrt{2}$
 $|\phi\rangle = \sqrt{2/3}|0\rangle + \sqrt{1/3}|1\rangle$

PBR theorem

ψ -incomplete - not ψ -complete

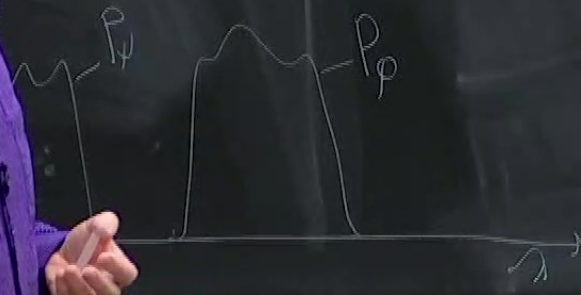
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$$p(\lambda|P_\psi) p(\lambda|P_\phi) = 0 \quad \forall \lambda$$

PBR theorem

$$|\psi\rangle = (|0\rangle + |1\rangle)/\sqrt{2}$$

$$|\phi\rangle = \sqrt{0.4}|0\rangle + \sqrt{0.6}|1\rangle$$



ψ -epistemic - not ψ -ontic



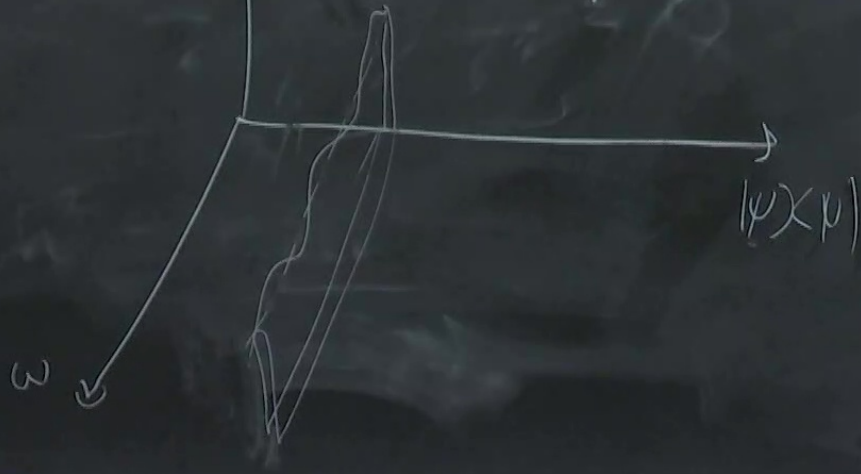
for at least
one pair of
pure states have
overlapping distributions

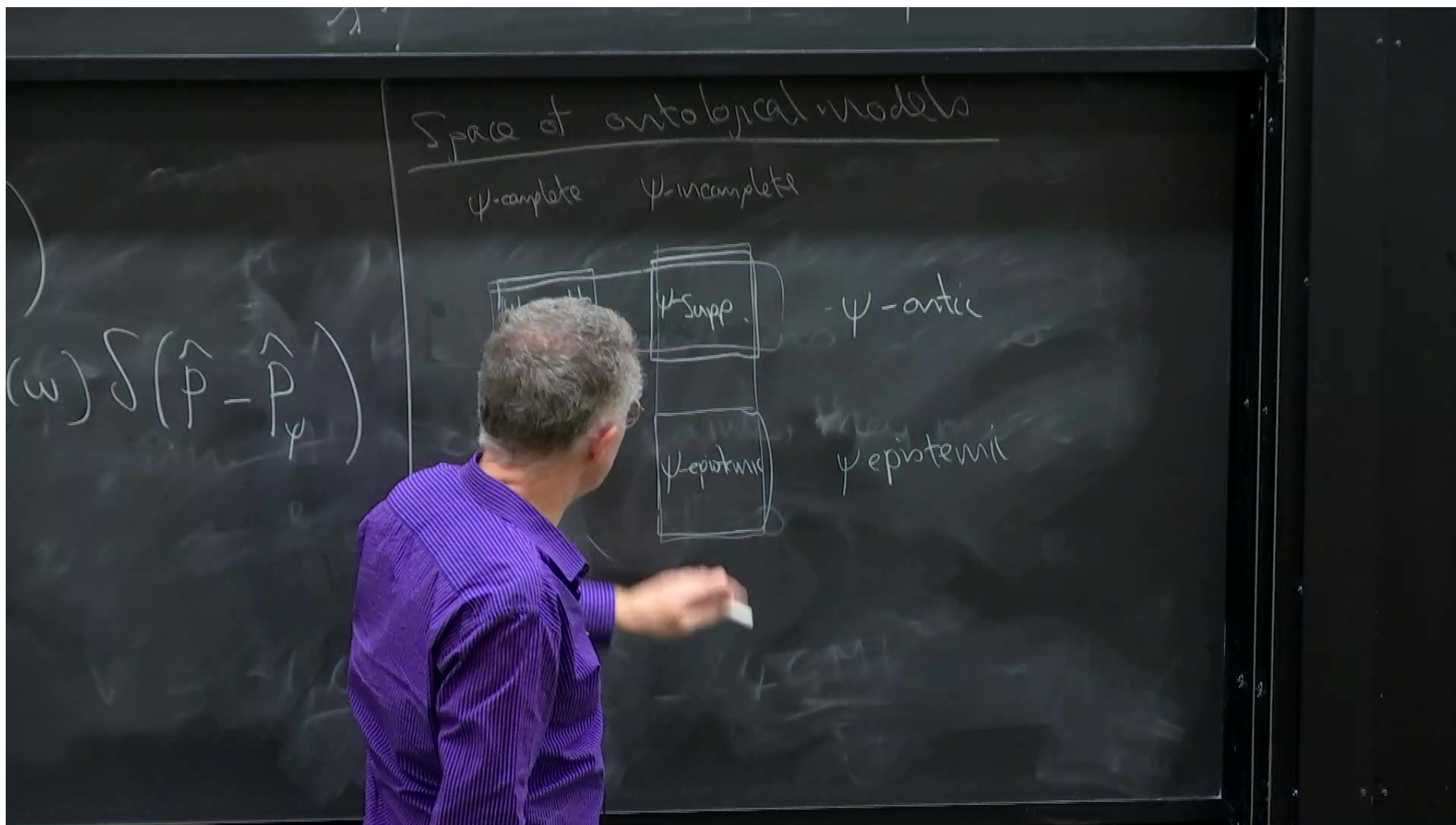
Defn ψ -supplemented

This is when $\lambda = (|\psi\rangle\langle\psi|, \omega)$

$p(\lambda|P)$

$$p(\lambda|P) = f(\omega) \delta(\hat{P} - \hat{P}_\psi)$$

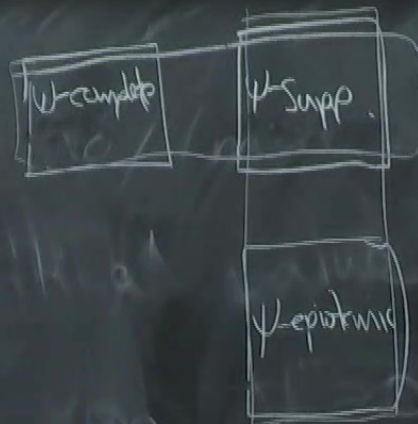




Space of ontological models

ψ -complete

ψ -incomplete



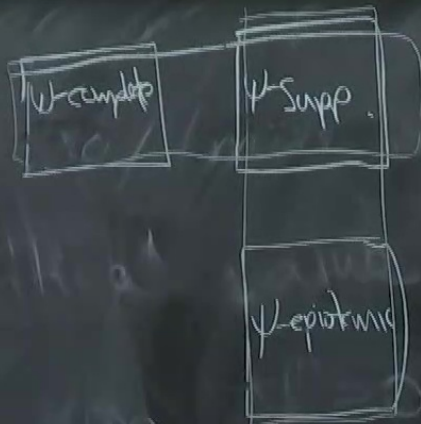
ψ -ontic

ψ -epistemic

Space of ontological models

ψ -complete

ψ -incomplete



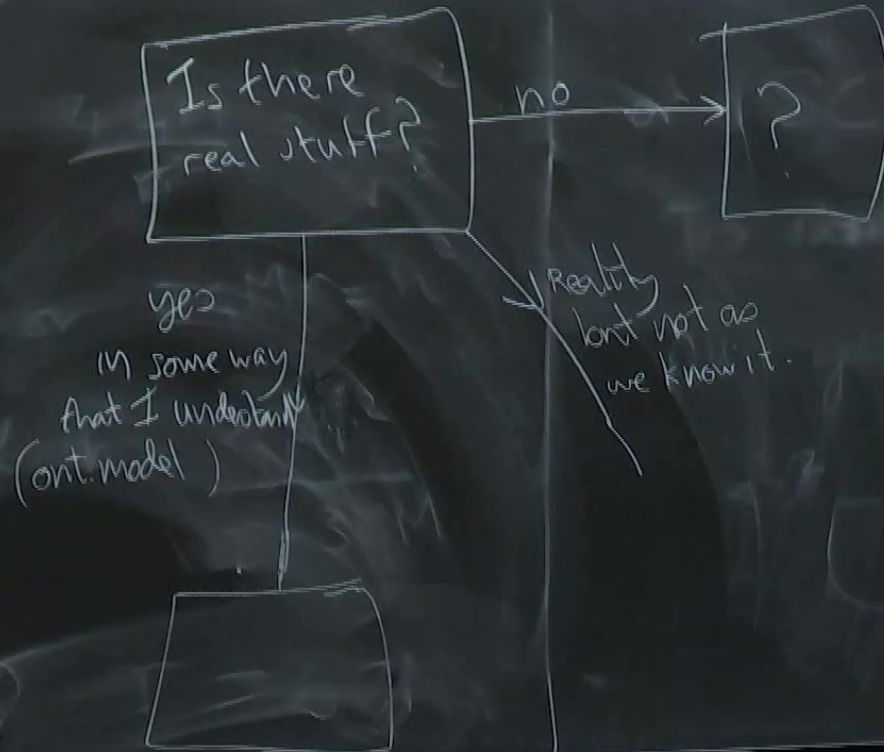
ψ -ontic

ψ -epistemic

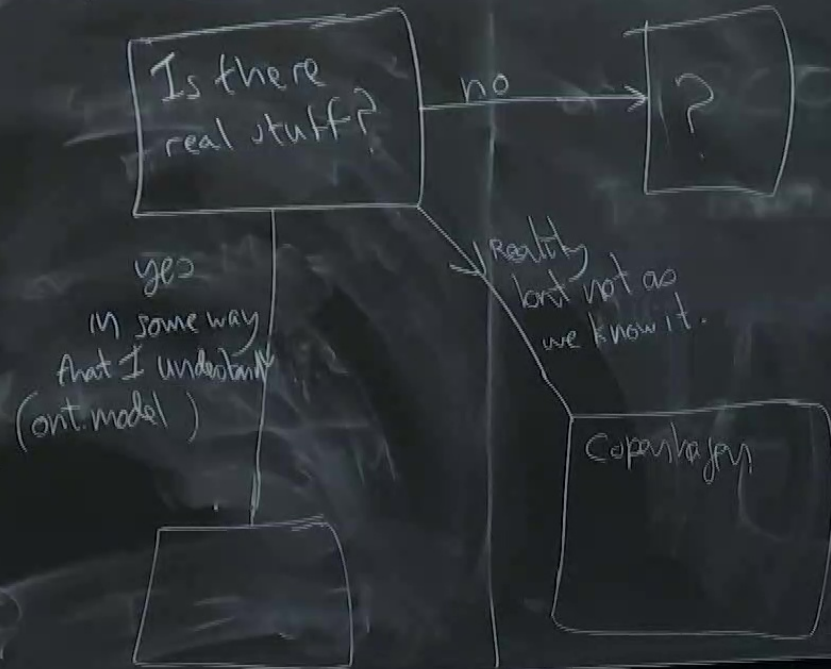
All epr's follow from state vector

$$[A=\alpha]_a \text{ is an epr iff } \langle \psi | \hat{P}_{A=\alpha} | \psi \rangle = 1$$

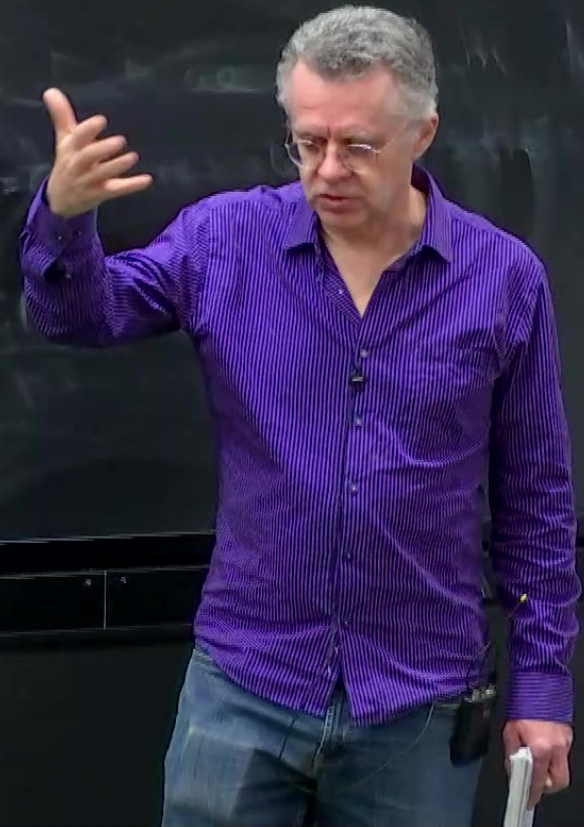
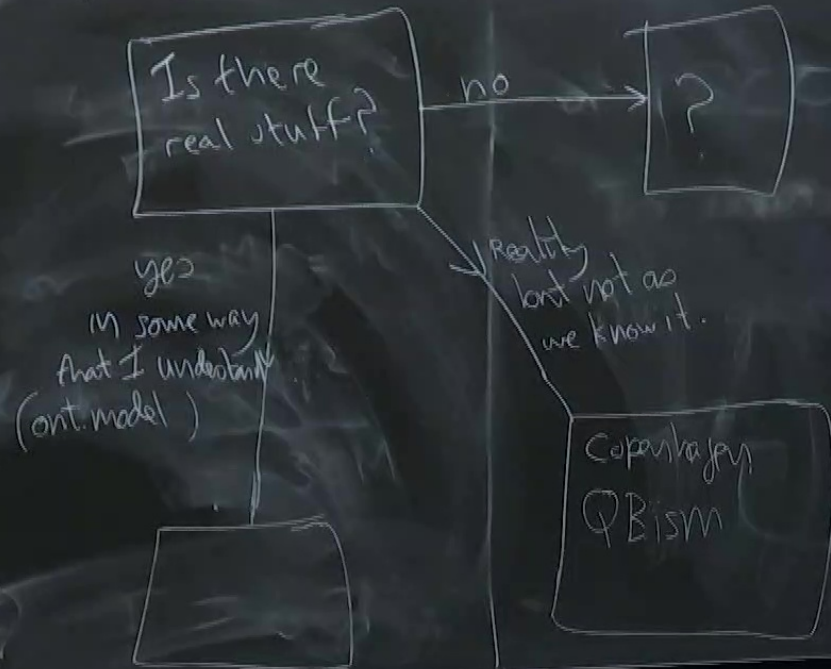
Interpretations on a flowchart



Interpretations on a Flowchart



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