

Title: Strong Gravitational Lensing in the Era of Data-Driven Algorithms

Speakers: Yashar Hezaveh

Series: Cosmology & Gravitation

Date: October 04, 2022 - 11:00 AM

URL: <https://pirsa.org/22100091>

Abstract: In this talk I will share our recent work in developing statistical models based on machine learning methods. In particular, I will discuss posterior sampling in low- and high-dimensional spaces and connect this to two ongoing projects: measuring the small-scale distribution of dark matter and estimating the expansion rate of the Universe. I will discuss how the speed and the accuracy gained by these models are essential for the large volumes of data from the next generation sky surveys. I will finish by mentioning a few other projects and a new initiative for interdisciplinary collaboration in astrophysics and data sciences.

Zoom link: <https://pitp.zoom.us/j/98316228305?pwd=UWwrZkIwUG1QZFBkYzc1eVdNSW1Ldz09>

STRONG GRAVITATIONAL LENSING WITH DATA-DRIVEN ALGORITHMS

SIMONS FOUNDATION



Canada



Fonds de recherche
Nature et
technologies

Québec

Université
de Montréal

FLATIRON
INSTITUTE
Center for Computational
Astrophysics

YASHAR HEZAVEH

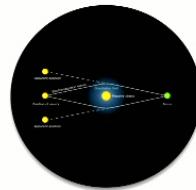
LAURENCE PERREAULT LEVASSEUR

NEAL DALAL

AND MANY MORE ...



New initiative



Strong lensing



Key questions



Other ML-related
projects



Our ML work
in lensing

Measuring the
SSS with lensing



STRONG LENSES PRODUCE ARCS







SCIENCE MOTIVATIONS FOR STRONG LENSING

1- Background source:

Use strong lensing as a **cosmic telescope**.

2- Foreground lens:

Use lensing to probe the **distribution of matter** in the lensing structures.

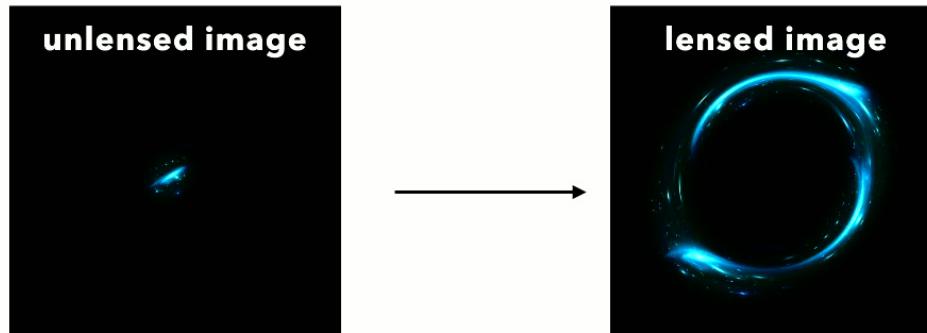
3- Constraining cosmological parameters:

Use time delays in the arrivals of lensed images to measure the **expansion rate of the Universe**.

SCIENCE MOTIVATIONS FOR STRONG LENSING

1 - Use strong lensing as a **cosmic telescope**.

- Lensing **magnifies** the images of sources and makes them appear **brighter**.
- This allows us to study some of the most distant galaxies of the universe that would have been otherwise below our sensitivity or resolution limits.



SPT-SMG COLLABORATION:

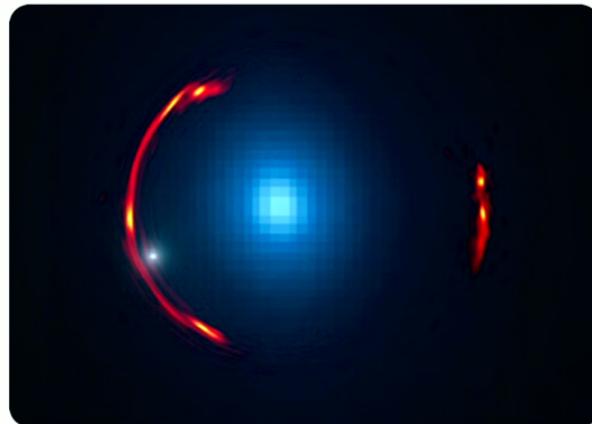
Use lenses to study star formation in the background galaxies

- | | | | |
|-----------------------|------------------------|-------------------------|------------------------|
| • Vieira et al. 2011 | • Aravena et al. 2013 | • Gullberg et al. 2015 | • Aravena et al. 2016 |
| • Greve et al. 2012 | • Bothwell et al. 2013 | • Spilker et al. 2015 | • Strandet et al. 2016 |
| • Vieira et al. 2013 | • Spilker et al. 2014 | • Ma et al. 2015 | • Spilker et al. 2016 |
| • Weiss et al. 2013 | • Gullberg et al. 2015 | • Welikala et al. 2016 | • Ma et al. 2016 |
| • Hezaveh et al. 2013 | • Spilker et al. 2014 | • Bethermin et al. 2016 | • Strandet et al. 2017 |

SCIENCE MOTIVATIONS FOR STRONG LENSING

2 - Use lensing to probe the **distribution of matter** in the lensing structures.

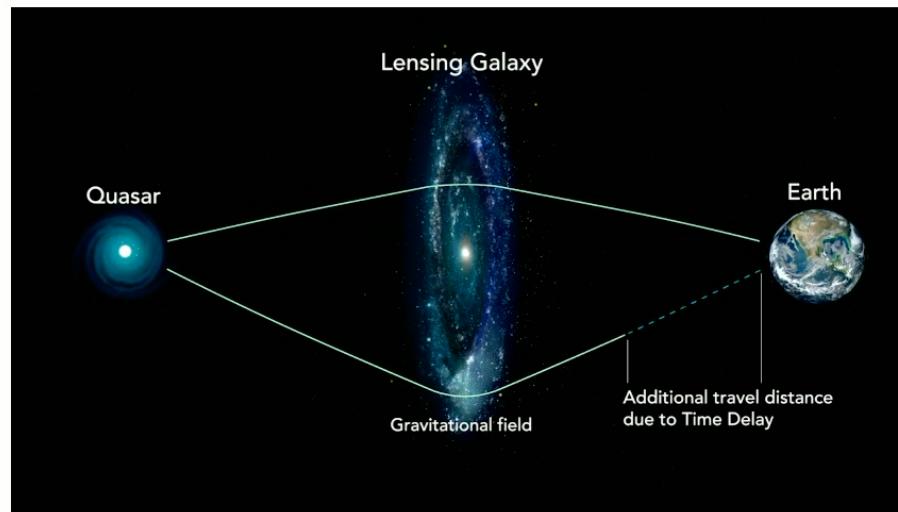
- Distortions in images are caused by **gravity**.
- They can be used to map the **distribution of matter** in the lens.
- Particularly useful for studying **dark matter**.



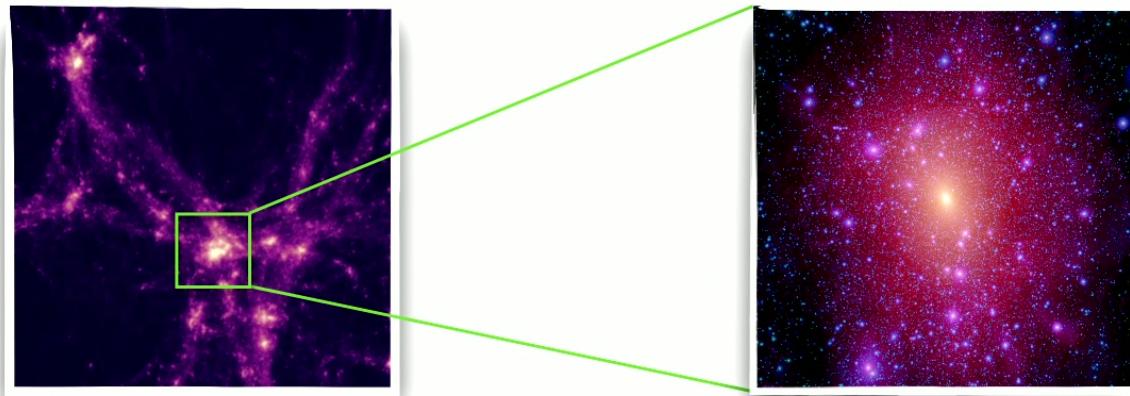
SCIENCE MOTIVATIONS FOR STRONG LENSING

3 - Constraining **cosmological parameters**.

- There is a time delay between the different lensed images.
- If the brightness of the background source fluctuates, one could measure these relative time delays.
- This allows us to measure the **Hubble constant**.



SMALL-SCALE STRUCTURE OF DARK MATTER

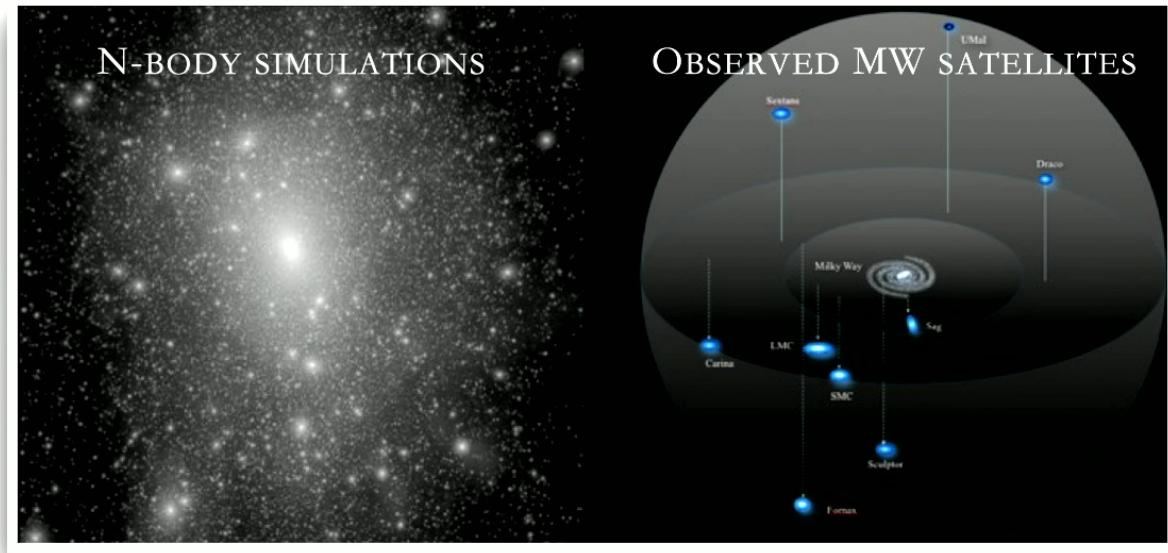


Large scale structure is very well measured.

Small scale distribution of dark matter is not well understood.

THE MISSING SATELLITES PROBLEM

DISCREPANCY BETWEEN THE NUMBER OF CDM SUBHALOS AND MW DWARF SATELLITES

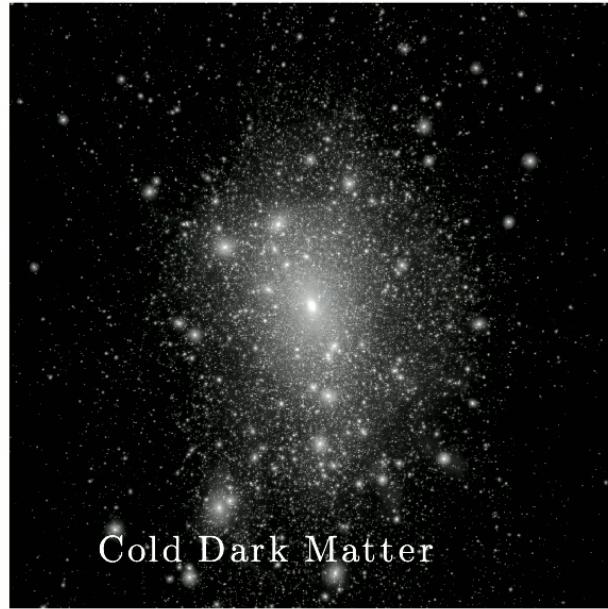


THEORY: $N \sim 10000$

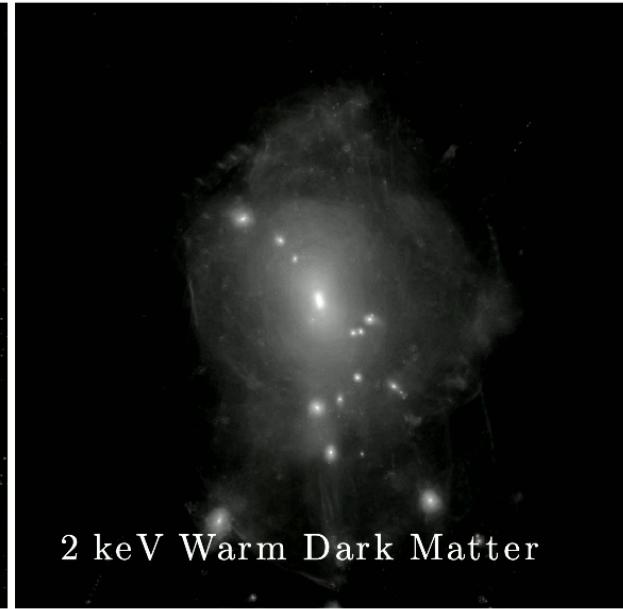
OBSERVATION $N \sim 50$

SOLUTIONS

1 - Modify galaxy formation models

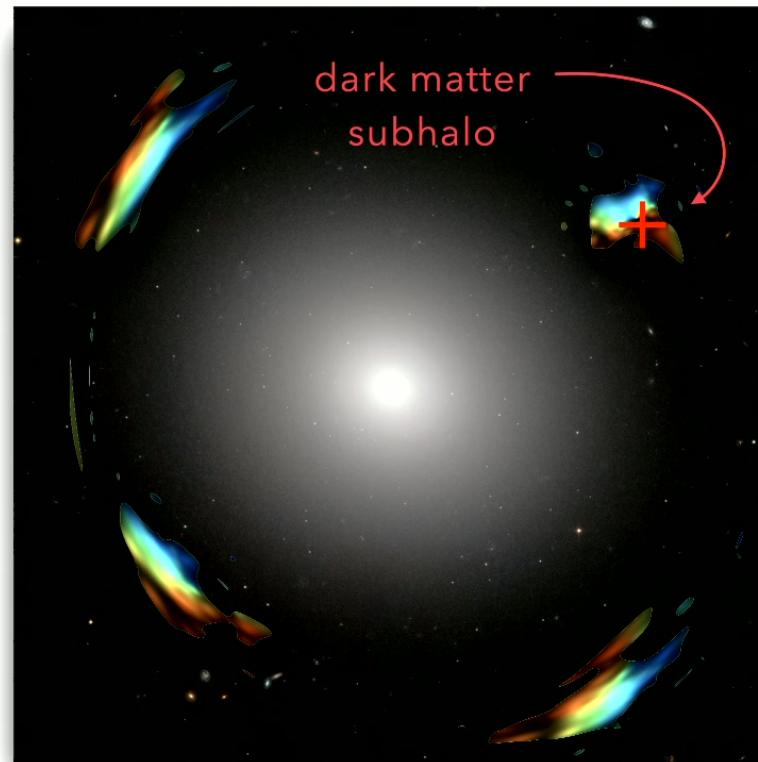


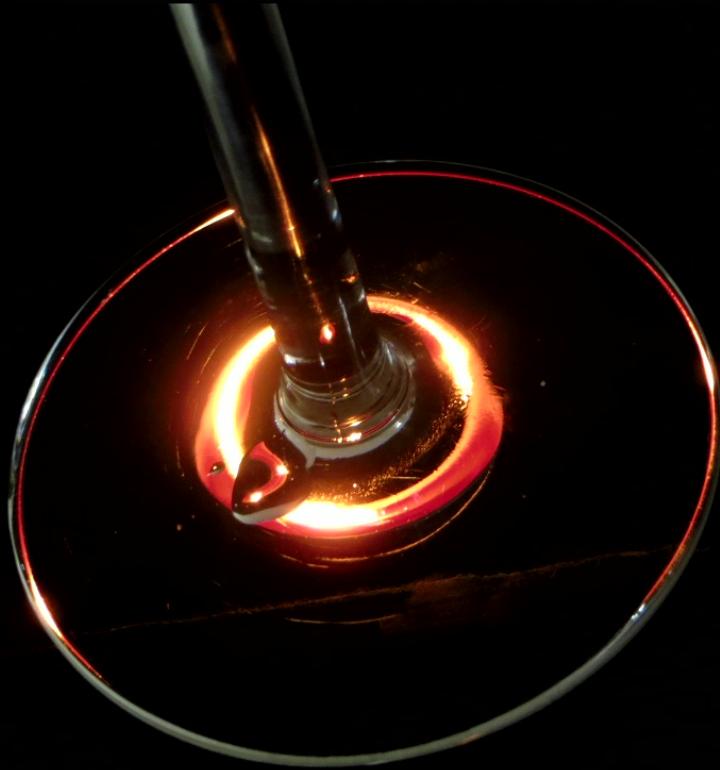
2 - Modify dark matter model

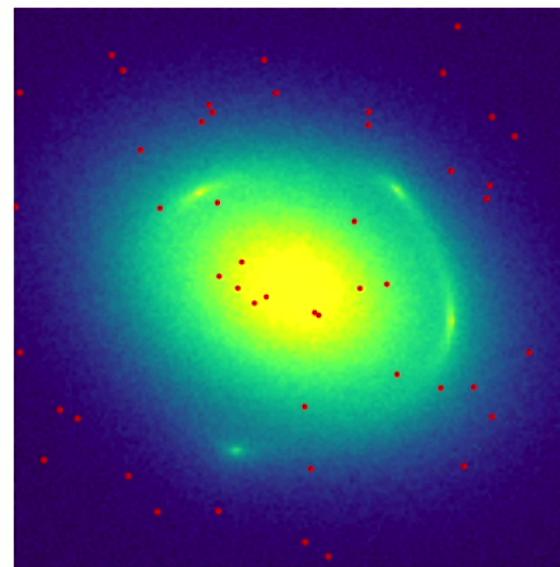


Lovell et al., MNRAS, 2012

SUBSTRUCTURE LENSING





Source**Observation**

Adam Coogan

Source parameters

Horizontal position

Vertical position

Orientation

Ellipticity

Sharpness

Size

Telescope**Subhalo parameters**[Resample subhalos](#)[Hide subhalos](#)**Lens parameters**

Orientation

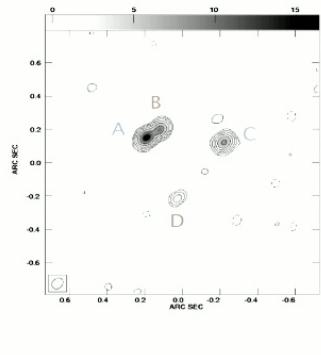
Ellipticity

Einstein radius

[Turn off lens light](#)

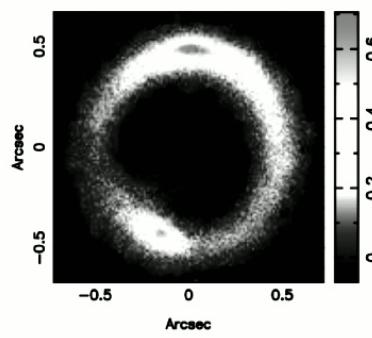
SUBSTRUCTURE LENSING

LENSED RADIO QUASARS



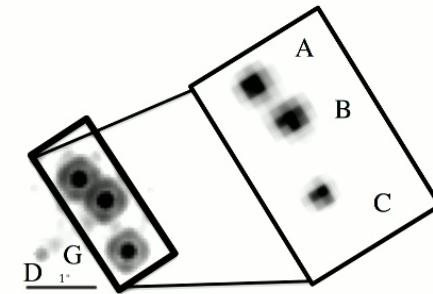
Dalal & Kochanek 2002

LENSED GALAXIES (OPTICAL)



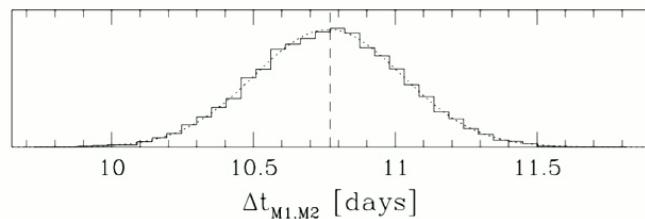
Vegetti et al. 2012

LENSED OPTICAL QUASARS



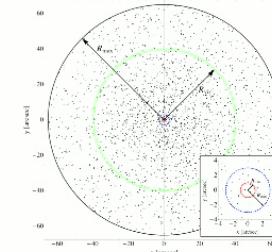
Nierenberg et al. 2014

EFFECT ON TIME DELAYS
BETWEEN IMAGES



Keaton & Moustakas 2009

CUMULATIVE EFFECTS OF ALL
SUBHALOS



Cyr-Racine et al. 2016

MEASURING PHYSICAL PROPERTIES FROM IMAGES OF STRONG LENSES

Physical properties that can be constrained from lensing images (**lensing parameters**):



1: Morphology of the background source
(the true, undistorted image of the candle)



2: Matter distribution in the lens
(the shape of the wineglass)



MEASURING PHYSICAL PROPERTIES FROM IMAGES OF STRONG LENSES

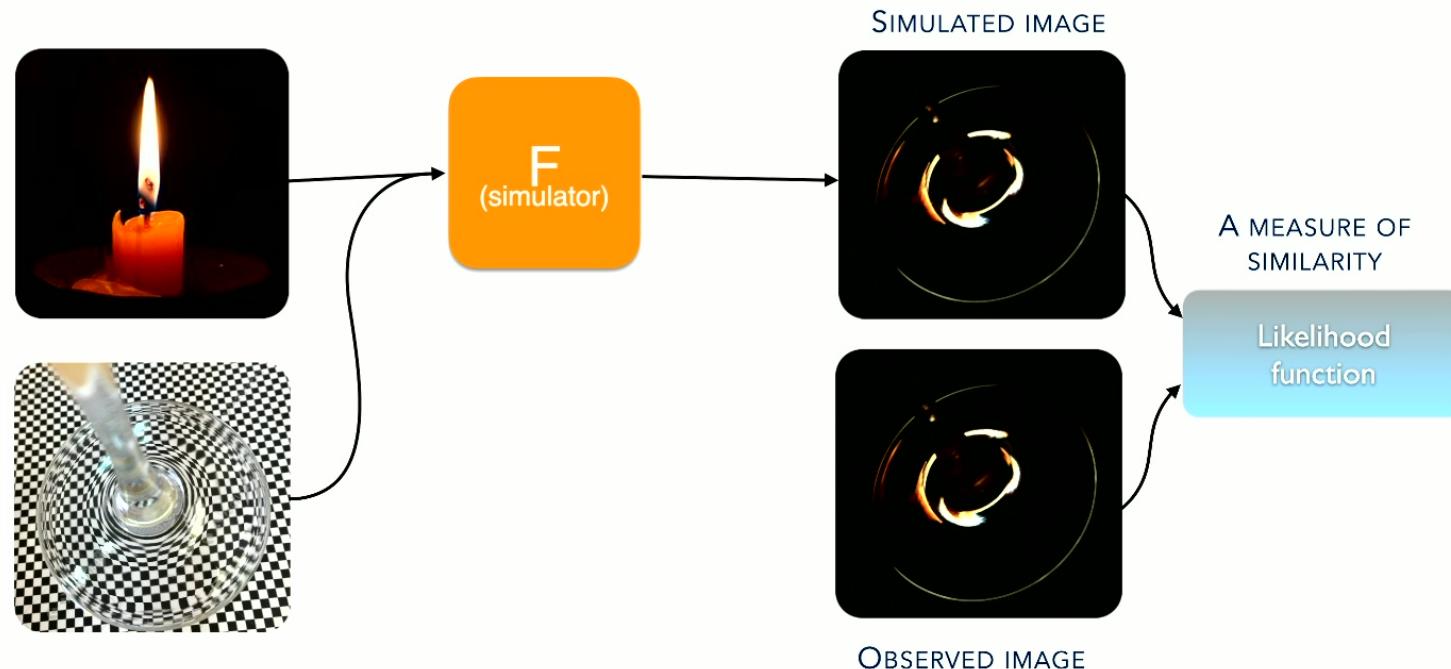
Likelihood-based lens modeling



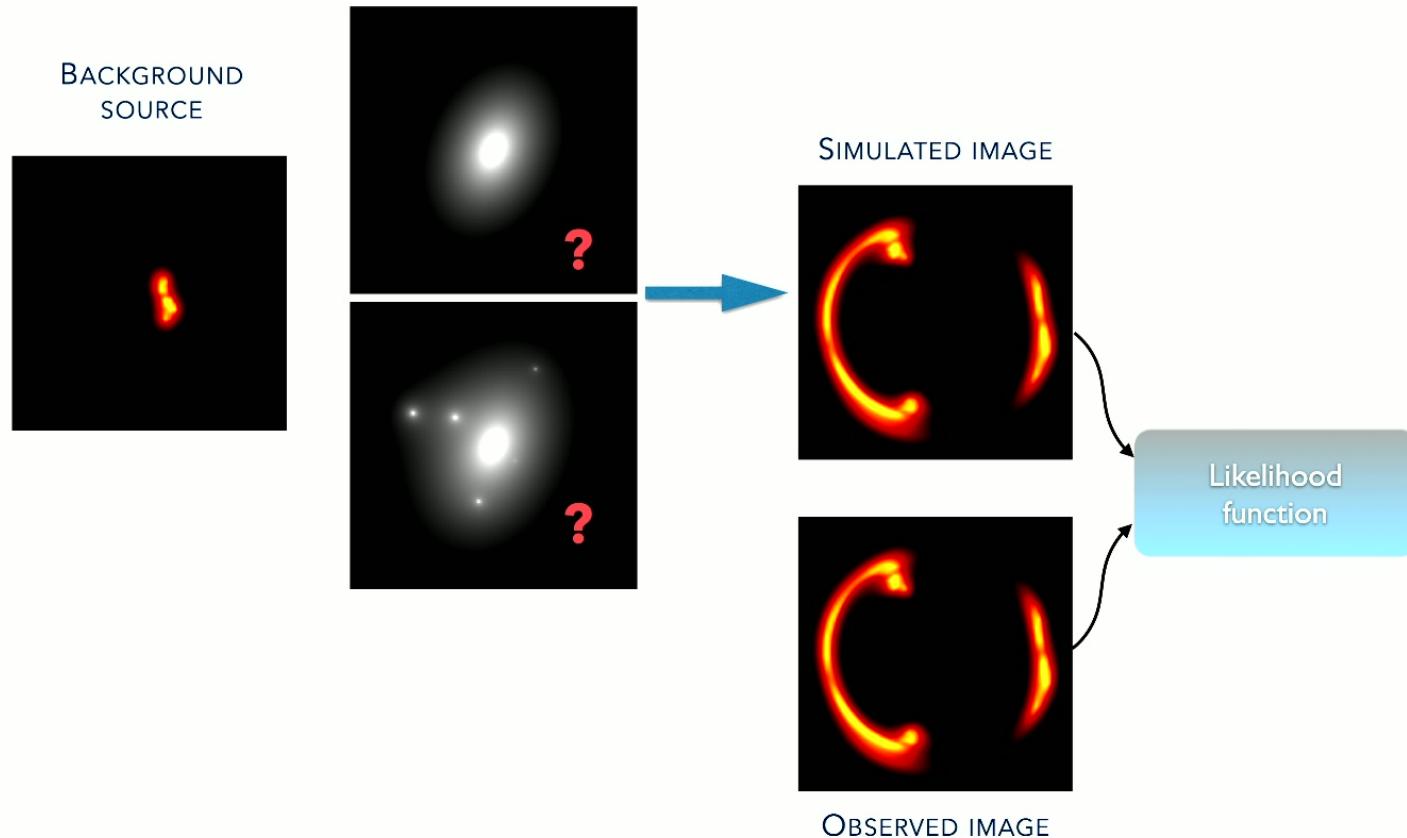
OBSERVED IMAGE

MEASURING PHYSICAL PROPERTIES FROM IMAGES OF STRONG LENSES

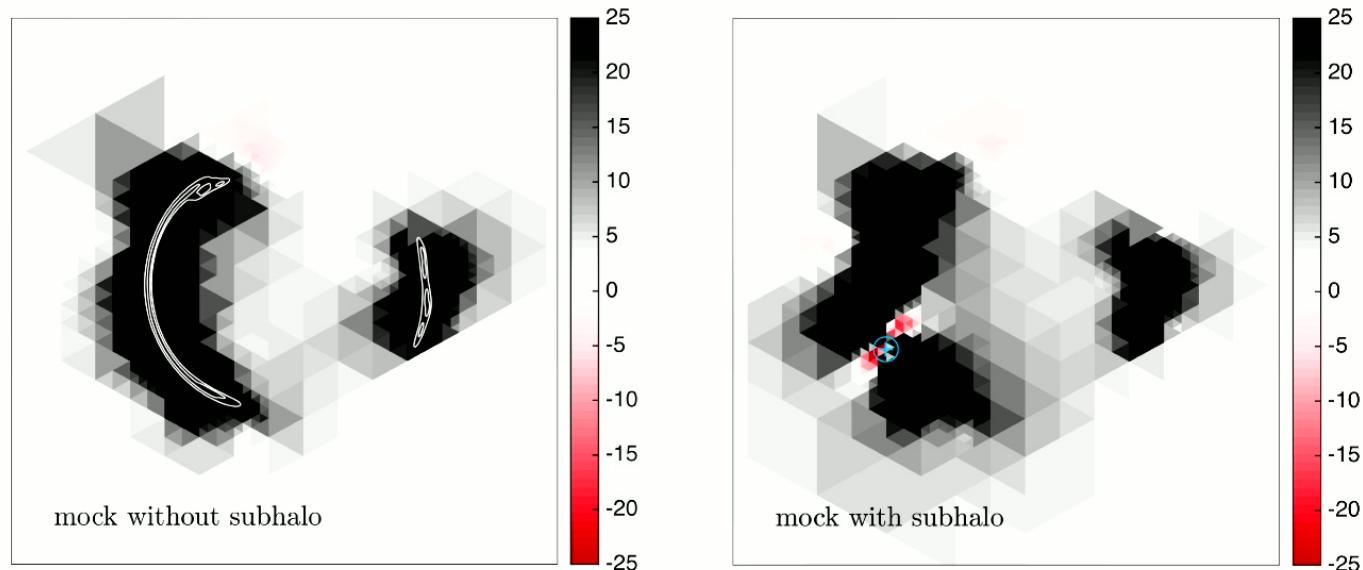
Likelihood-based lens modeling



SUBHALO DETECTION: COMPARE A SMOOTH MODEL WITH A MODEL WHICH INCLUDES SUBHALOS



PROBABILITY OF THE PRESENCE OF A SUBHALO



Greyscale: difference in log posterior between a model which includes a subhalo and a smooth model (no subhalos)

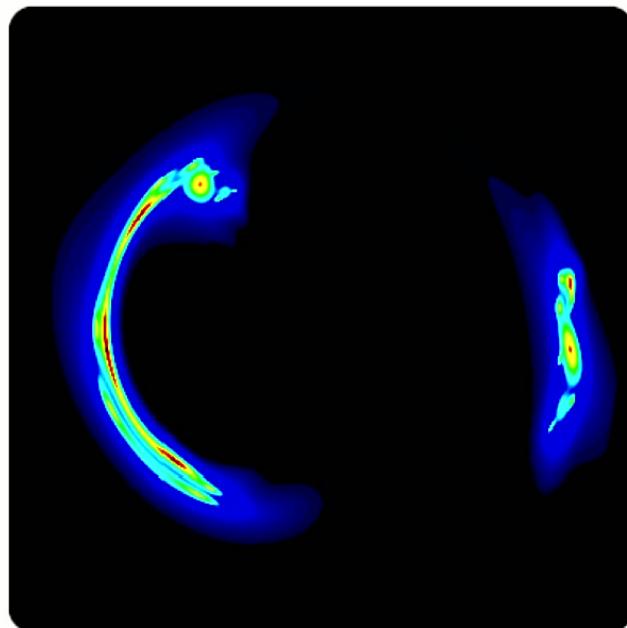
Hezaveh et al. ApJ 2016

SIMULATED IMAGES WITH AND WITHOUT A SUBHALO

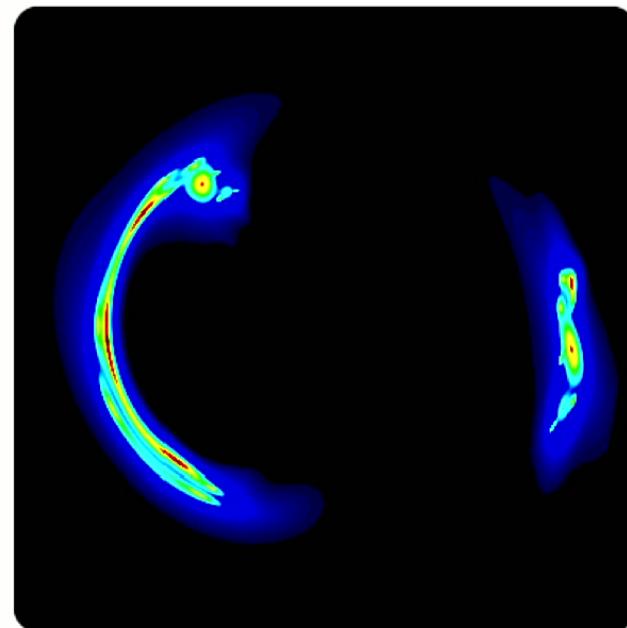
Main lensing galaxy mass $\sim 10^{12} M_{\text{sun}}$

Subhalo masses $\sim 10^7 - 10^9 M_{\text{sun}}$

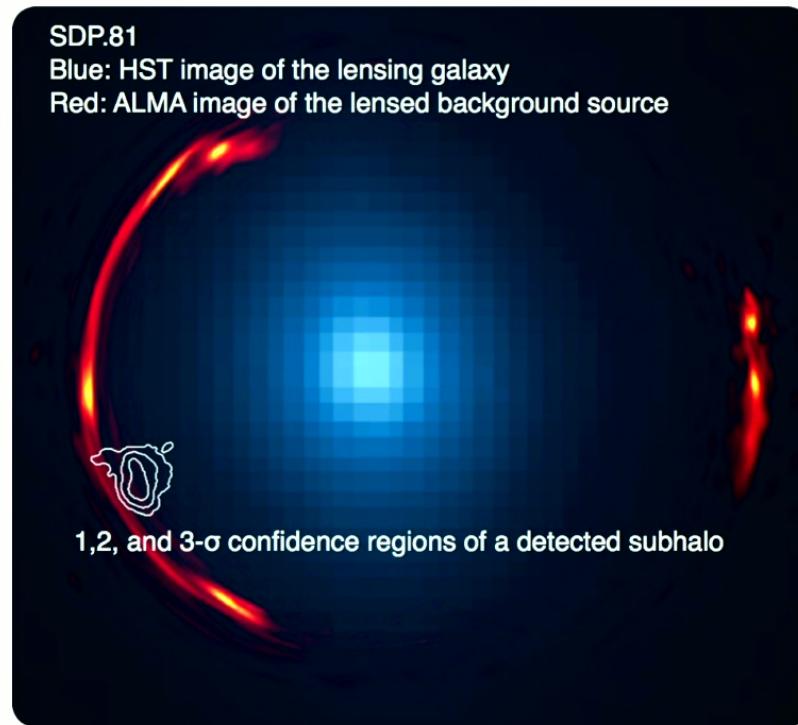
SMOOTH GALAXY



SMOOTH GALAXY + SUBHALO

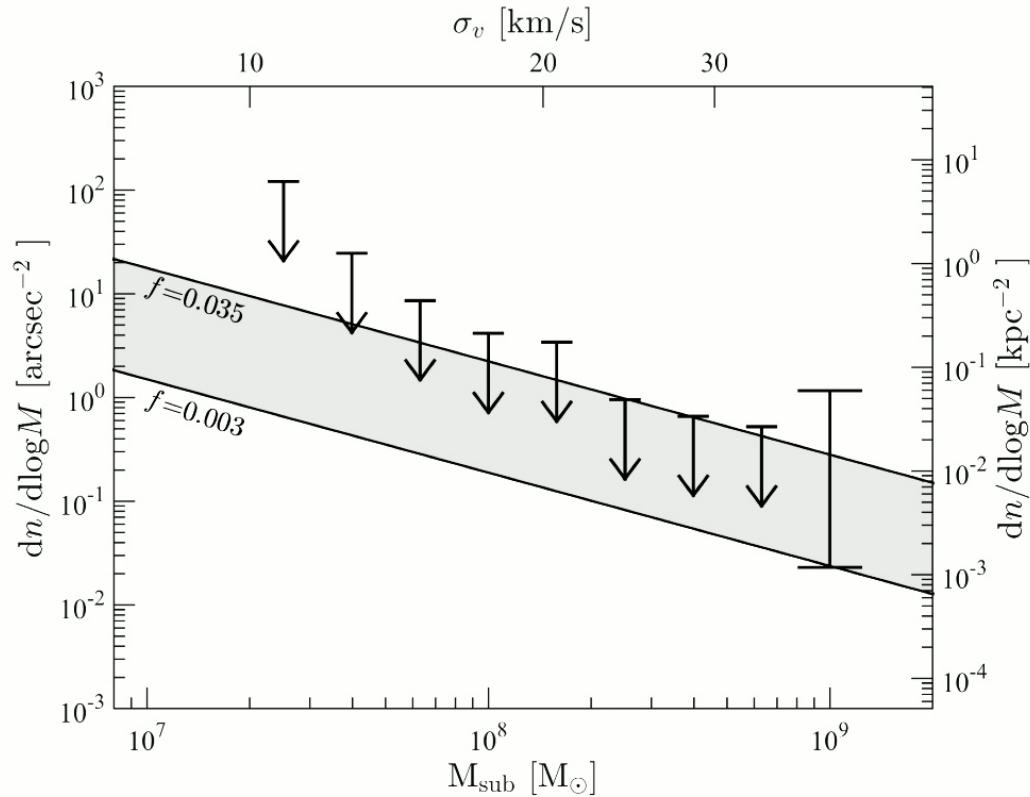


DETECTION OF A $10^9 M_{\text{SUN}}$ SUBHALO



Hezaveh, Dalal, et al. ApJ 2016

CONSTRAINTS ON THE MASS FUNCTION OF SUBHALOS IN THE HOST HALO



Hezaveh, Dalal, et al. ApJ 2016



COVARIANCE OF
DEFLECTIONS

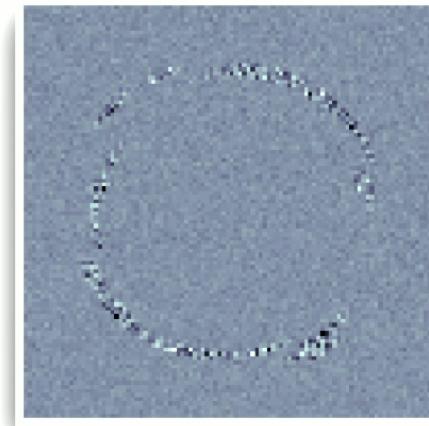
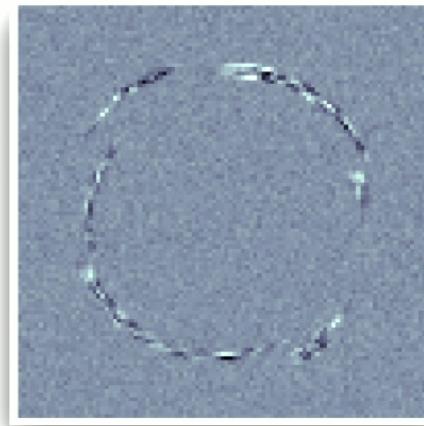


POWER SPECTRUM OF
THE DENSITY FIELD



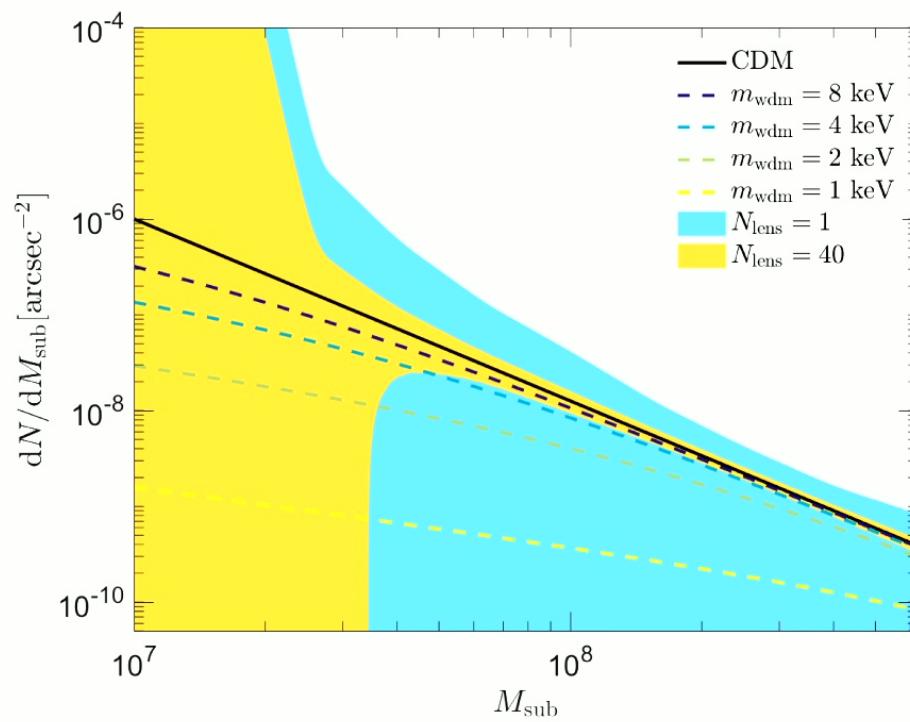
$$C_\alpha = \langle \alpha_i(\vec{x}) \alpha_j(\vec{x} + \vec{r}) \rangle = 4 \int P(k) \left(\frac{\delta_{ij}}{k^2 r} J_1(kr) - \frac{r_i r_j}{kr^2} J_2(kr) \right) dk$$

LIKELIHOOD

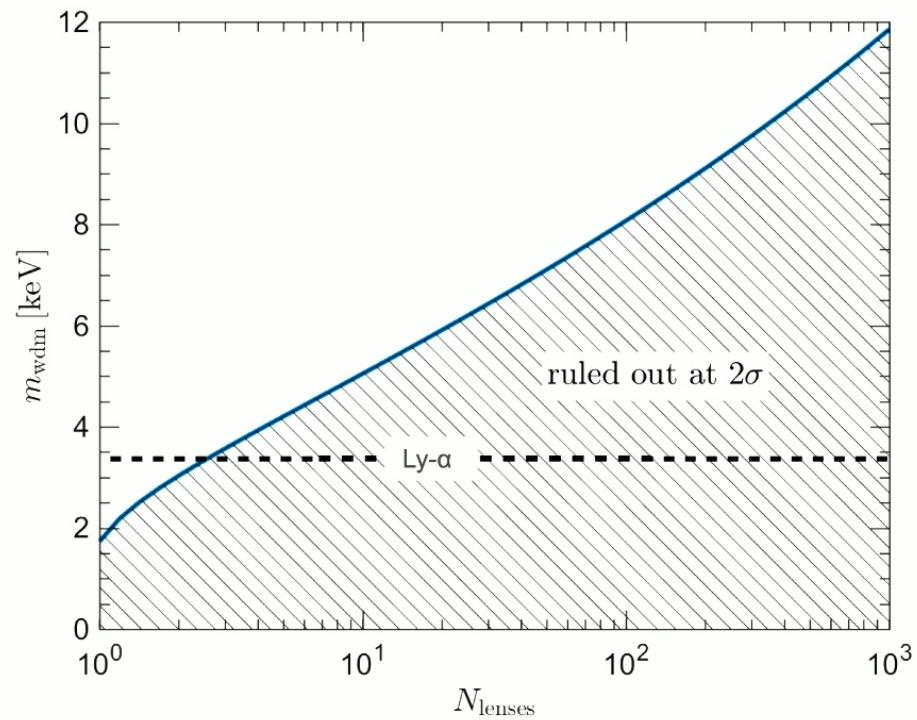


Hezaveh, Dalal, et al., JCAP, 2016

FORECASTS FOR N LENSES



FORECASTS FOR N LENSES



- Extremely Computationally Expensive
- Approximations => Inability to sample the high-dimensional space. Suboptimal priors.

Looking into the future:

1- New Lenses

For future surveys we find that, assuming Poisson limited lens galaxy subtraction, searches of the DES, LSST, and Euclid data sets should discover **2400**, **120000**, and **170000** galaxy-galaxy strong lenses, respectively

Collett, ApJ. 2015



WHY DO WE NEED SO MANY LENSES?

- 1- Statistical precision from the analysis of a large population.
- 2- Finding rare systems:
Lensed supernovae
Double-plane lenses
Lensing systems at extreme redshifts

Looking into the future:

3- Analysis Methods

How are we going to analyze 170,000 lenses?

- Lens modeling is **very slow**.
- Even a simple lens model can take 2-3 days of human and CPU time, translating to **1,400 years!**
- Even if we pay 100 people to work on this, it'll be 14 years!
- Old method are simply not feasible.



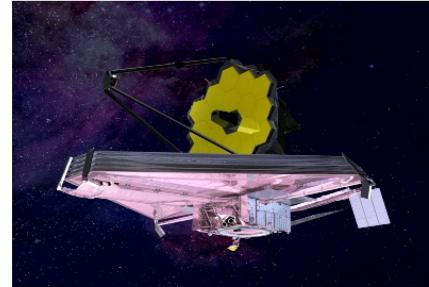
Lens modeling sweatshop of the future

Looking into the future:
2- Existing and New **Telescopes**

ALMA



JWST



GMT



TMT



Looking into the future: 3- Analysis Methods

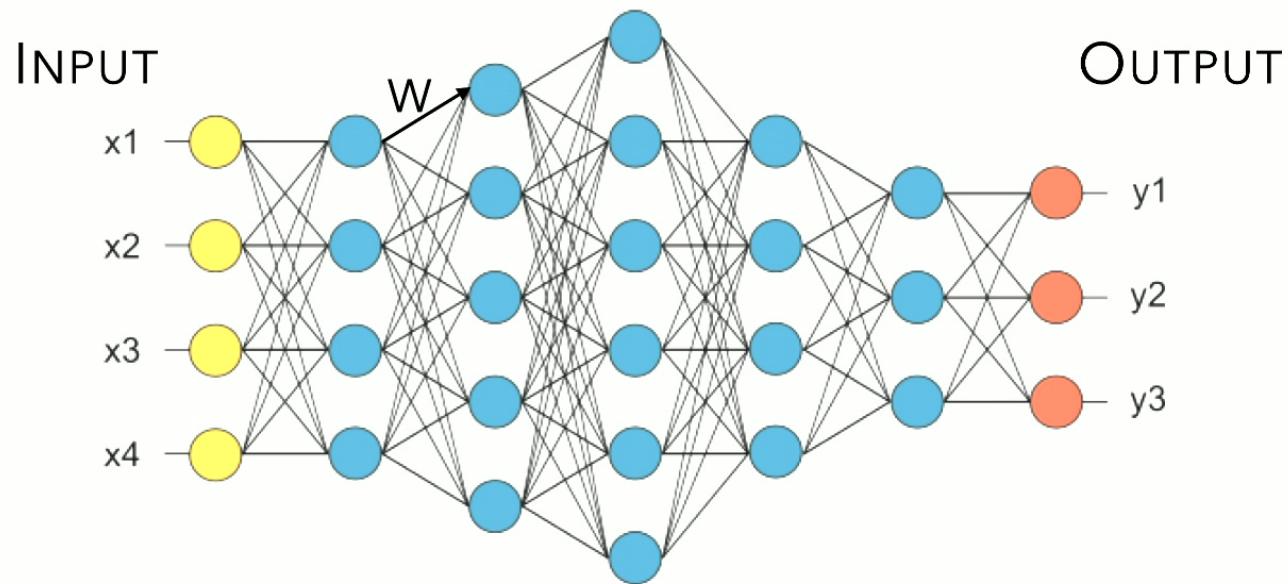
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Lens modeling sweatshop of the future

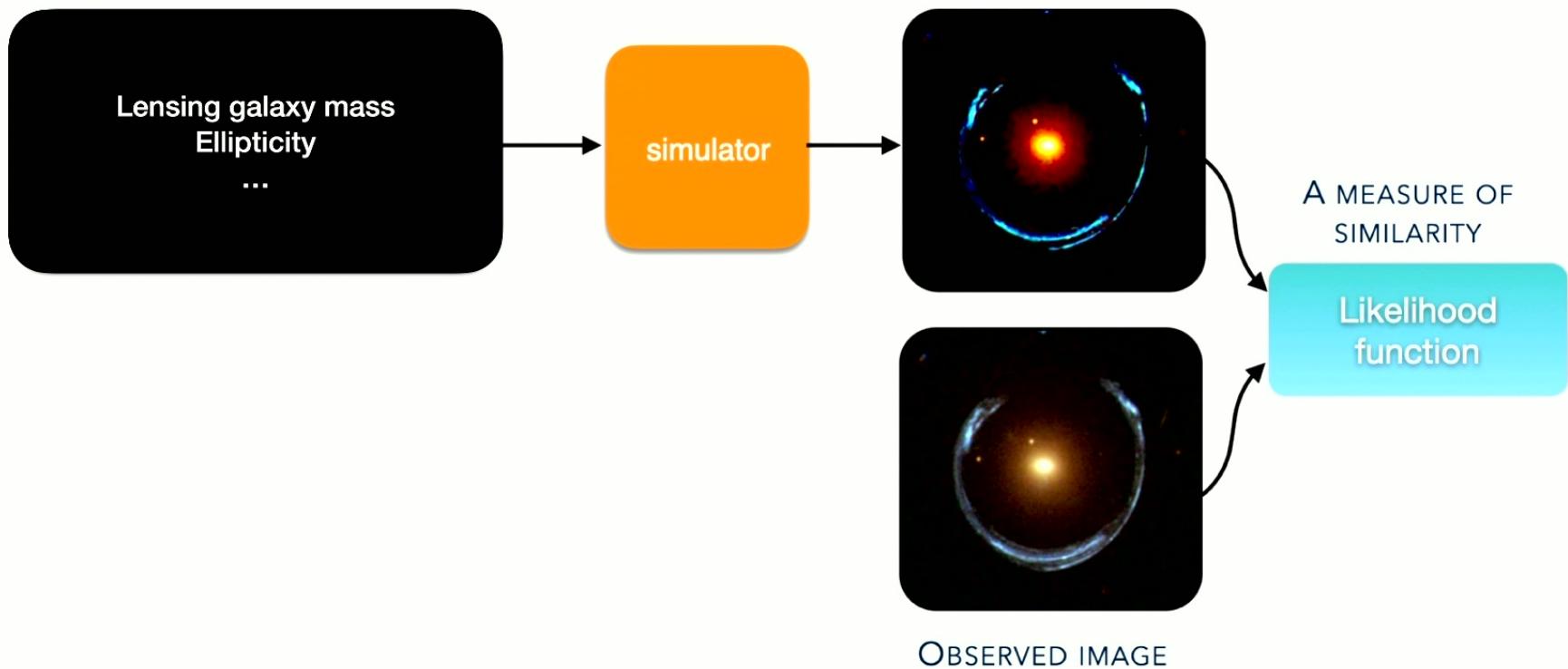
CAN WE OBTAIN THE LENS PARAMETERS USING NEURAL NETWORKS?



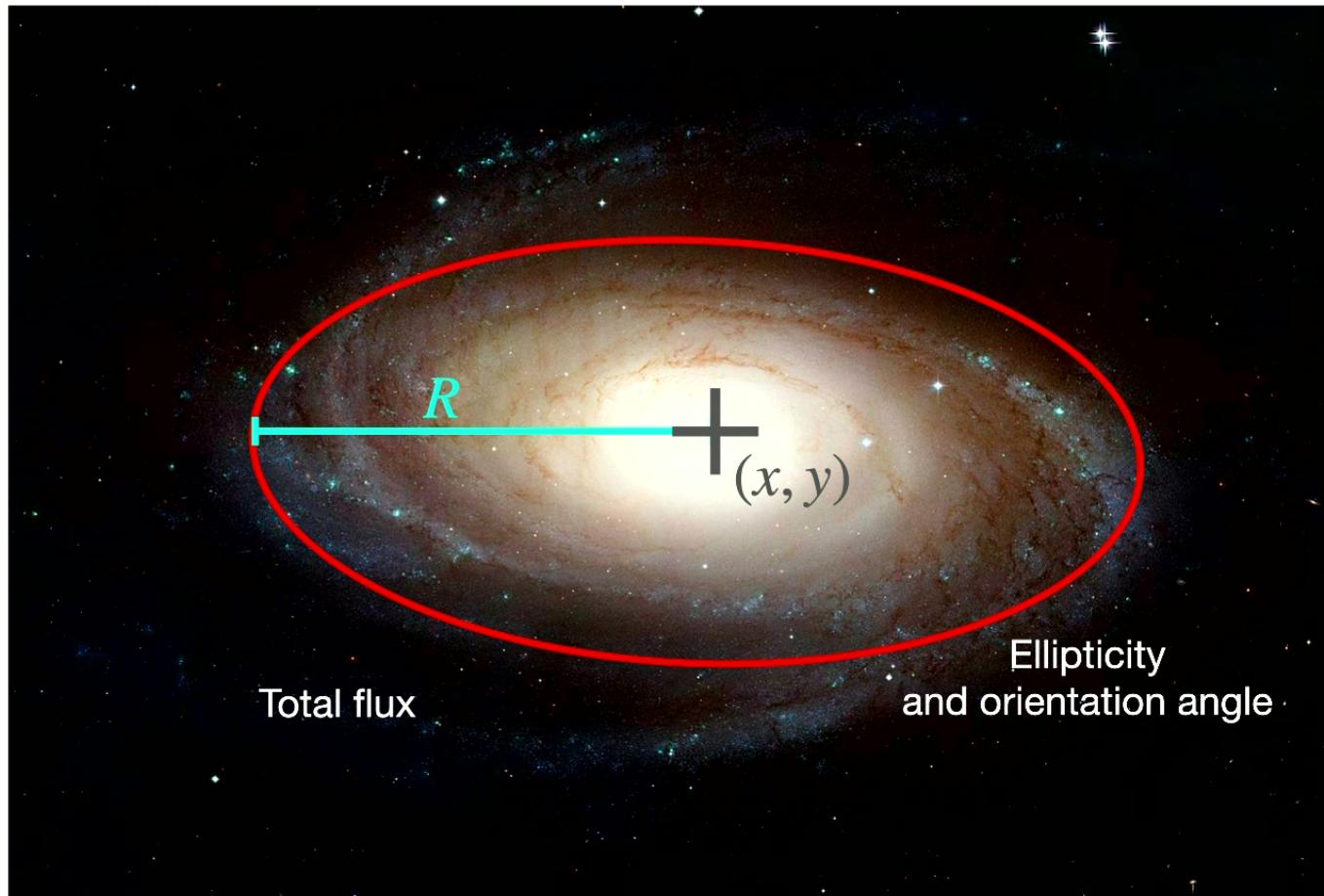
Universal approximation theorem:

Neural nets can approximate *any function* to an *arbitrary accuracy*.

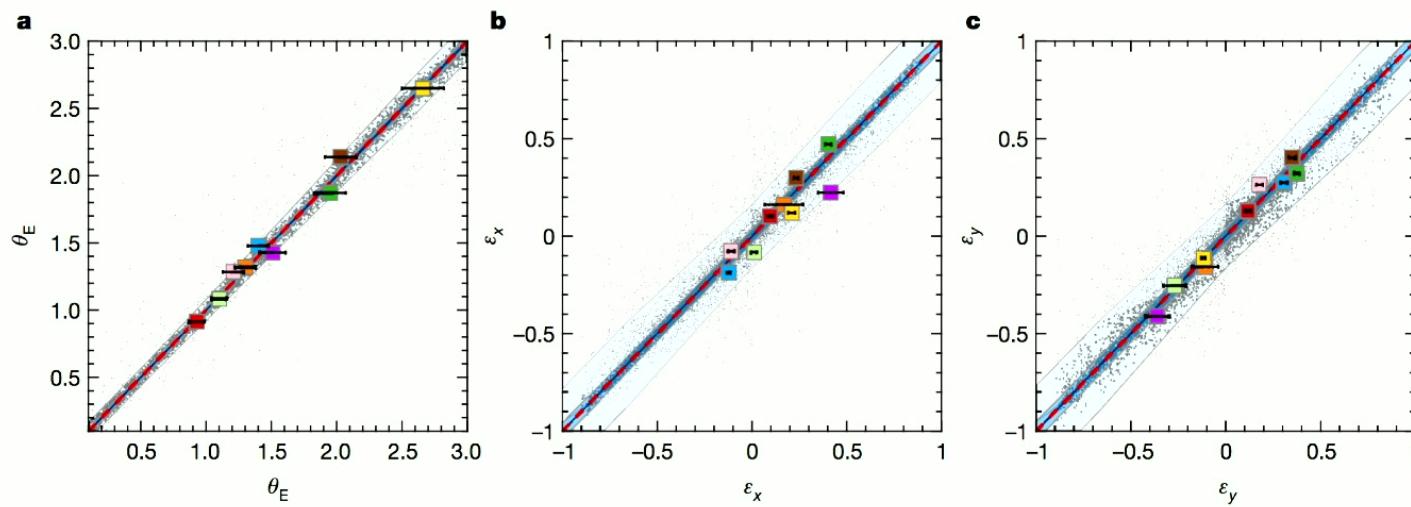
Latent variables



Low- vs. high-dimensional representations

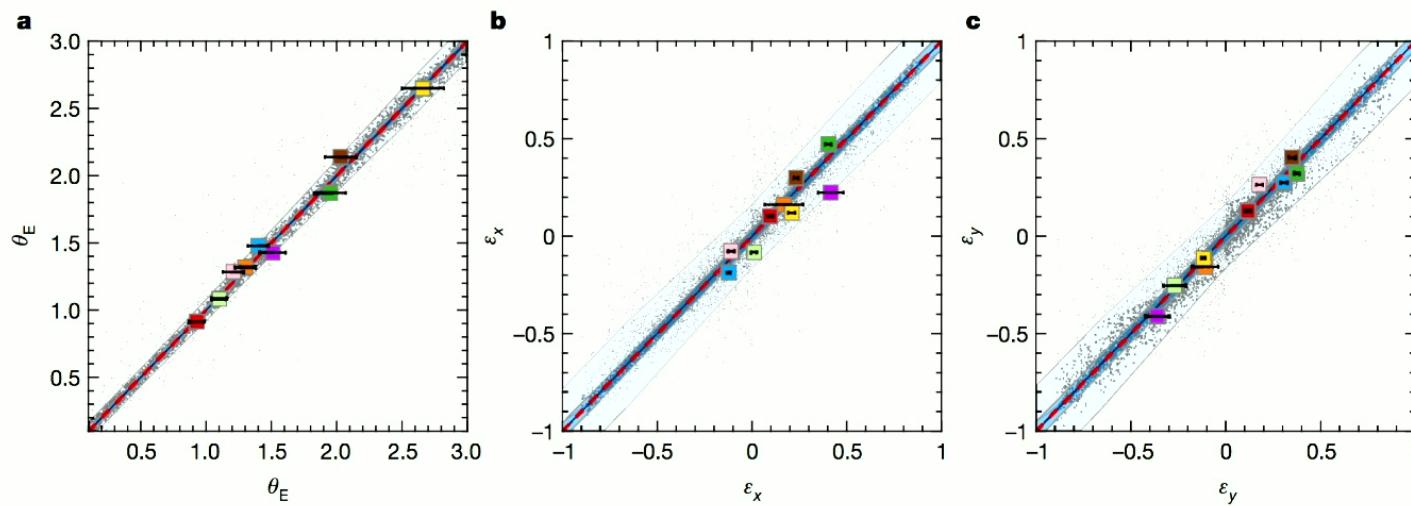


Estimating lensing parameters with neural nets



Hezaveh, Perreault Levasseur, Marshall, Nature, 2017

Estimating lensing parameters with neural nets

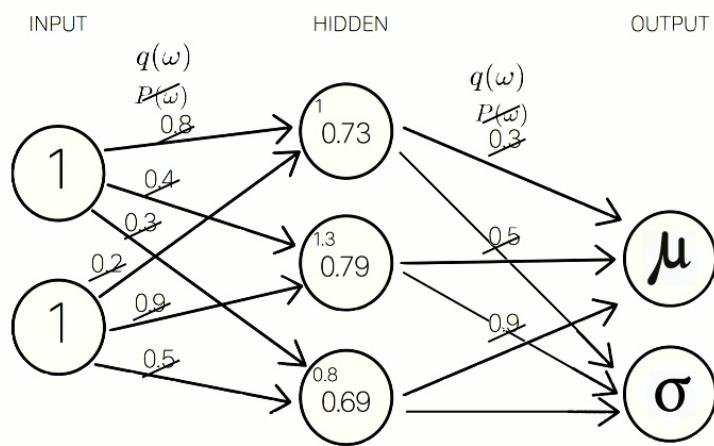


10 million times faster than maximum-likelihood lens modeling.

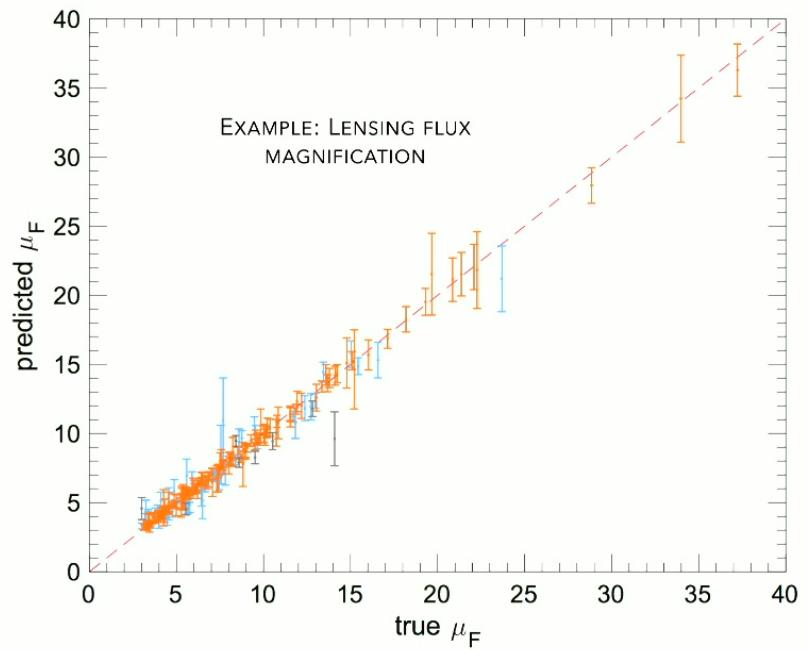
0.01 seconds on a **single GPU**

Hezaveh, Perreault Levasseur, Marshall, Nature, 2017

Modeling the posterior Approximate BNNs

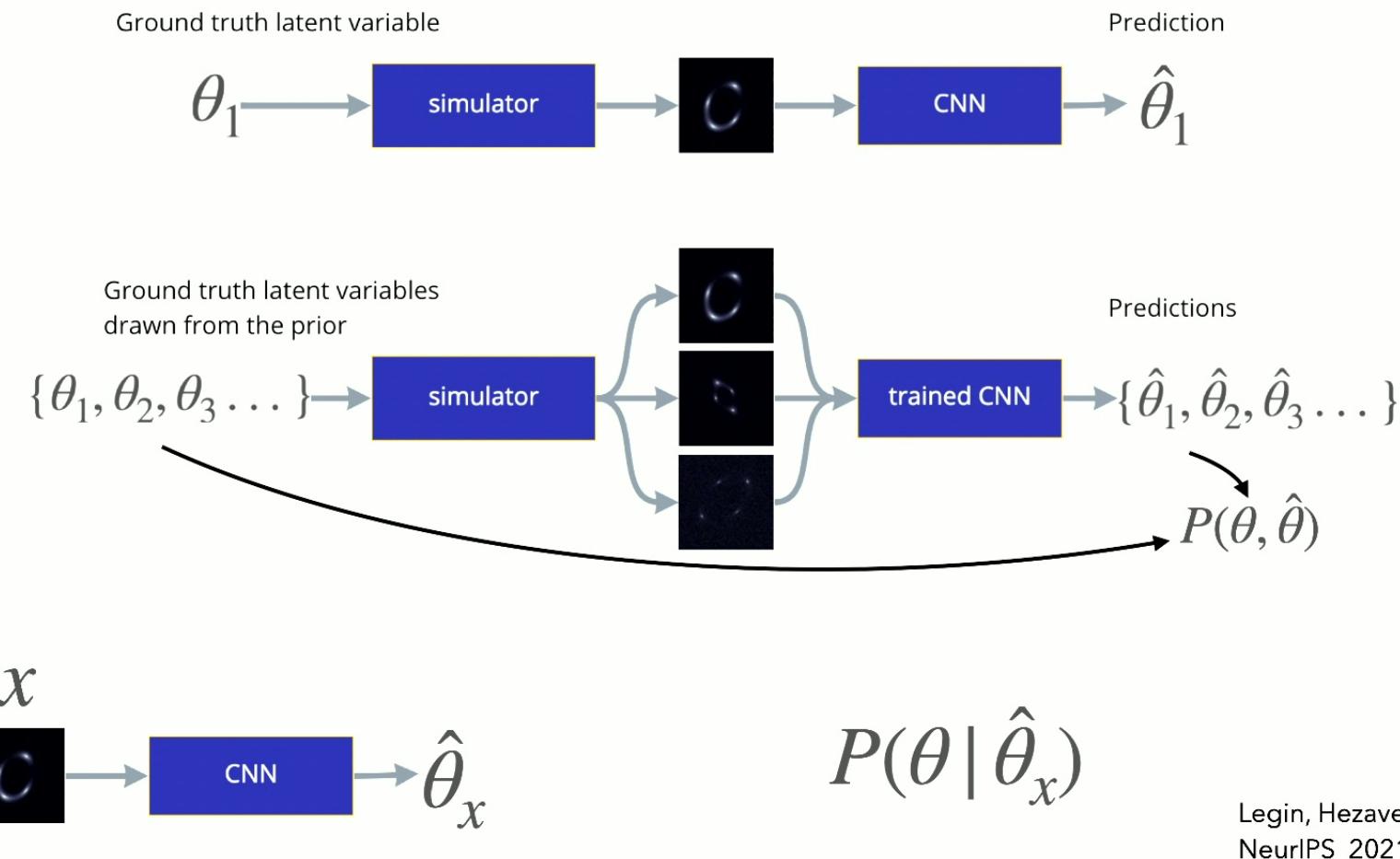


$$\mathcal{L}(\mathbf{y}_n, \hat{\mathbf{y}}_n(\mathbf{x}_n, \omega)) \propto \sum_k \frac{-1}{2\sigma_k^2} \|y_{n,k} - \mu_k(\mathbf{x}_n, \omega)\|^2 - \frac{1}{2} \log \sigma_k^2$$



Perreault Levasseur, Hezaveh, Wechsler, ApJ, 2017

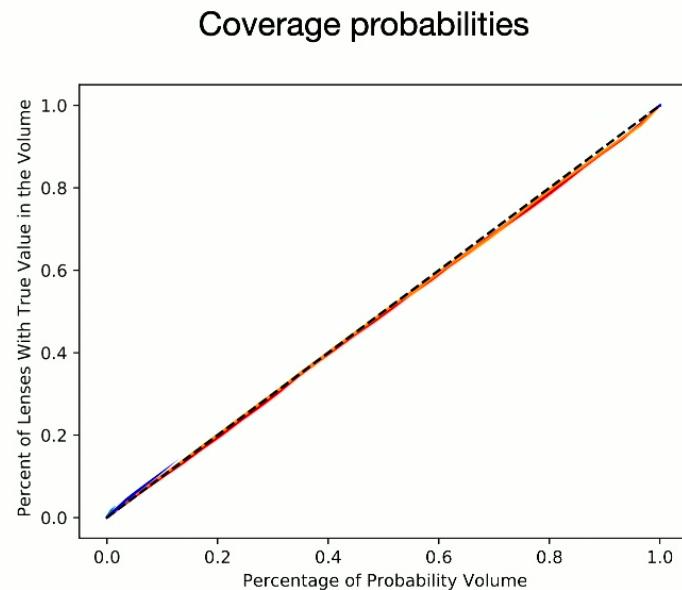
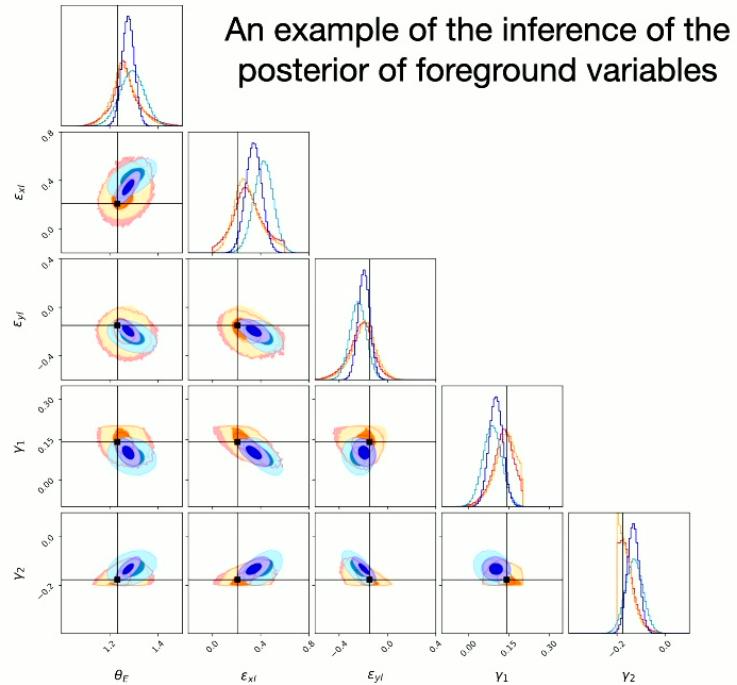
Likelihood-free inference



Ronan Legin

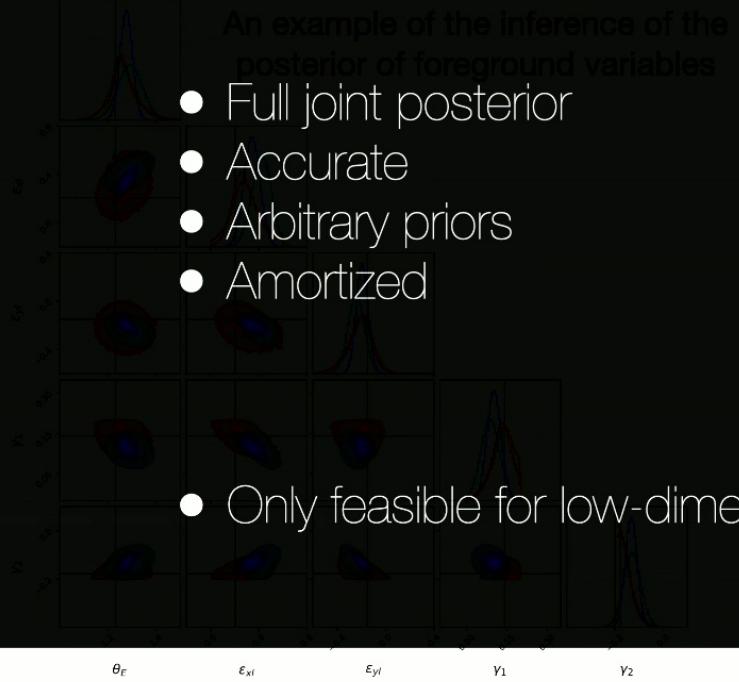
Legin, Hezaveh, Perreault Levasseur, Wandelt
NeurIPS 2021 - Physical Sciences Workshop

Likelihood-free inference

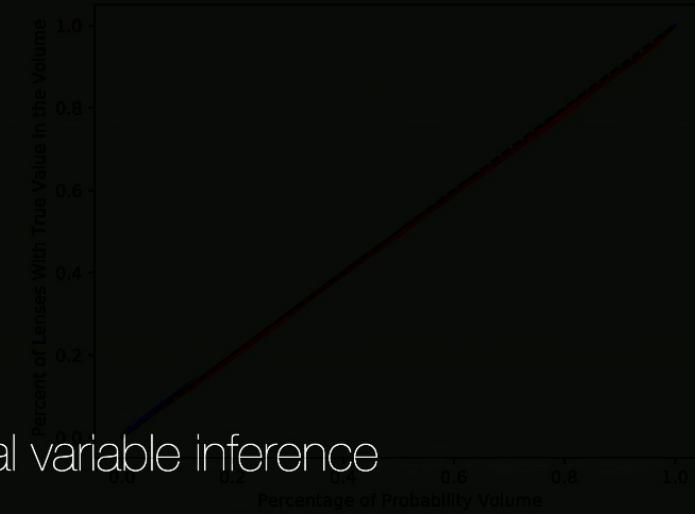


Legin, Hezaveh, Perreault Levasseur, Wandelt
NeurIPS 2021 - Physical Sciences

Likelihood-free inference

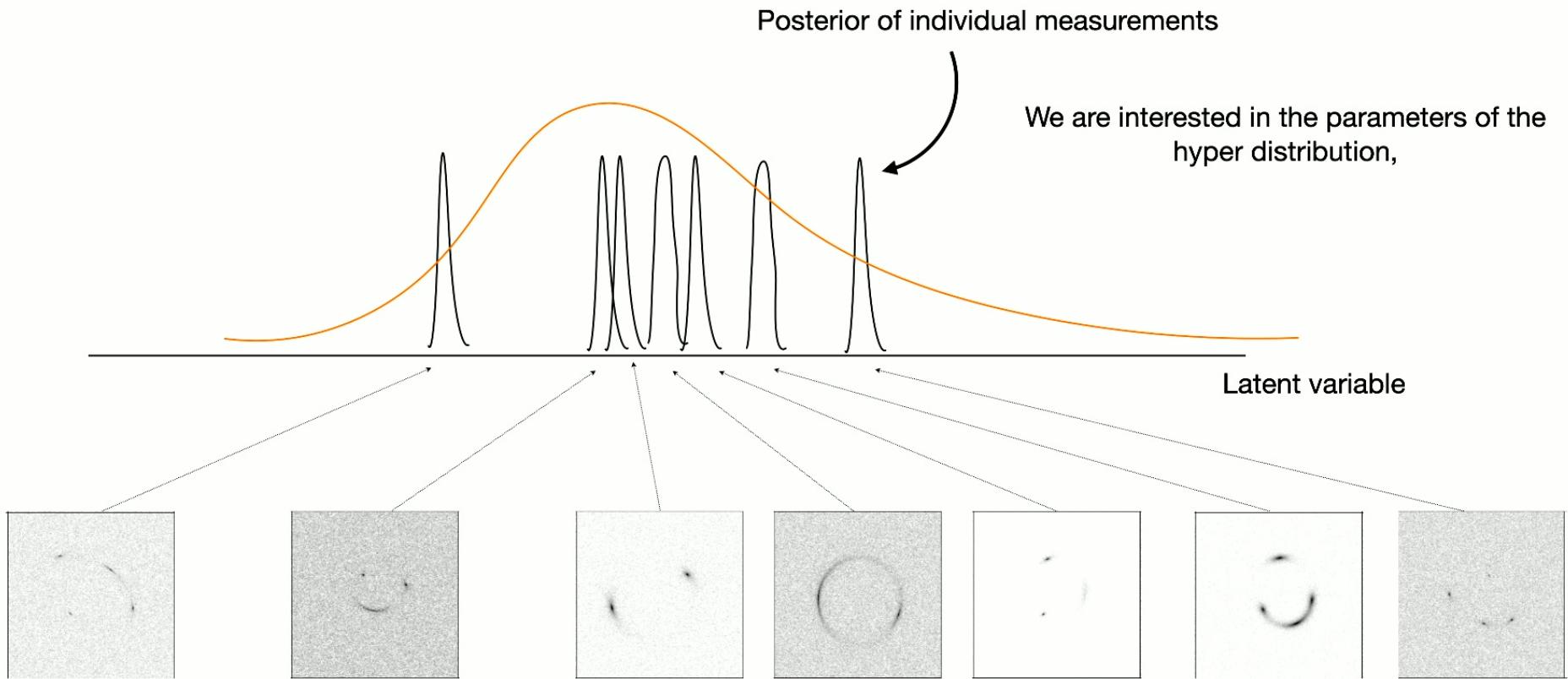


Coverage probabilities



Legin, Hezaveh, Perreault Levasseur, Wandelt
NeurIPS 2021 - Physical Sciences

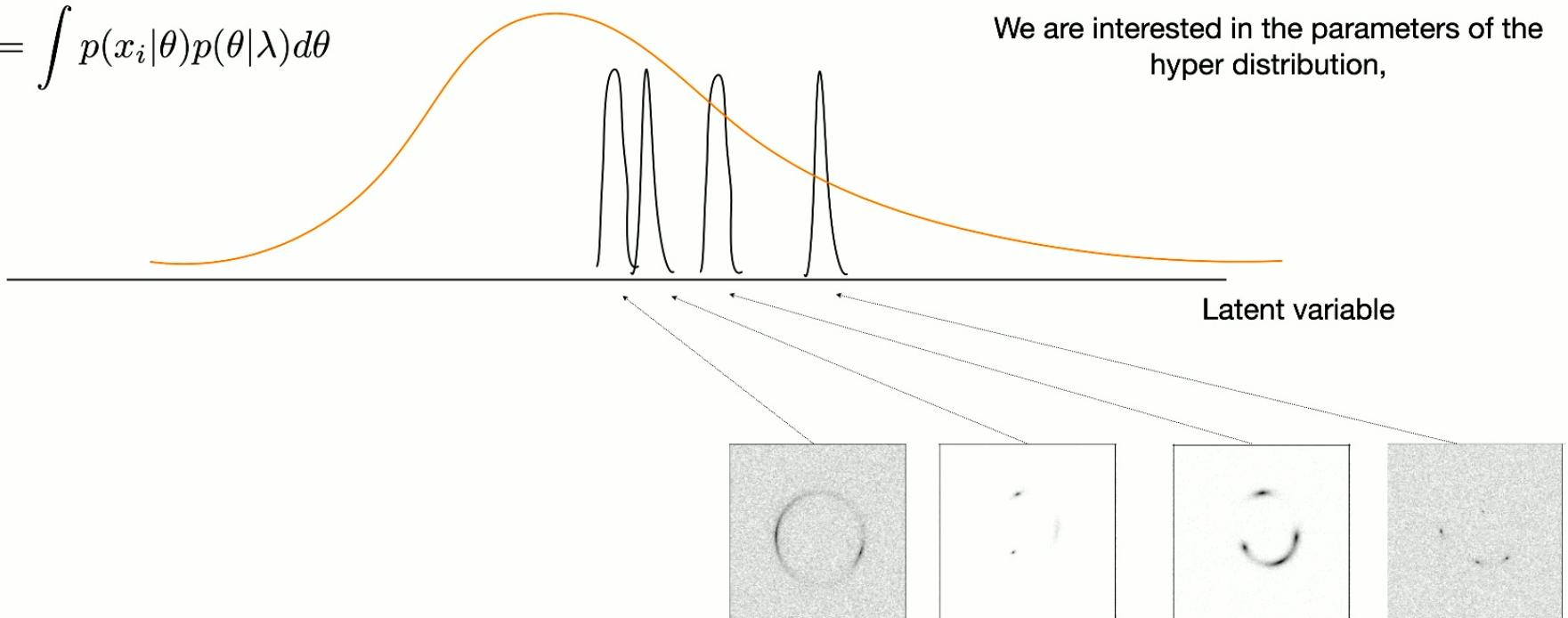
Hierarchical Bayesian inference



Hierarchical Bayesian inference

$$p(\lambda | \{x_i\}) = \frac{p(\lambda) \prod_i p(x_i | \lambda)}{\int d\lambda' p(\lambda') \prod_i p(x_i | \lambda')}$$

$$p(x_i | \lambda) = \int p(x_i | \theta) p(\theta | \lambda) d\theta$$



Hierarchical Bayesian inference

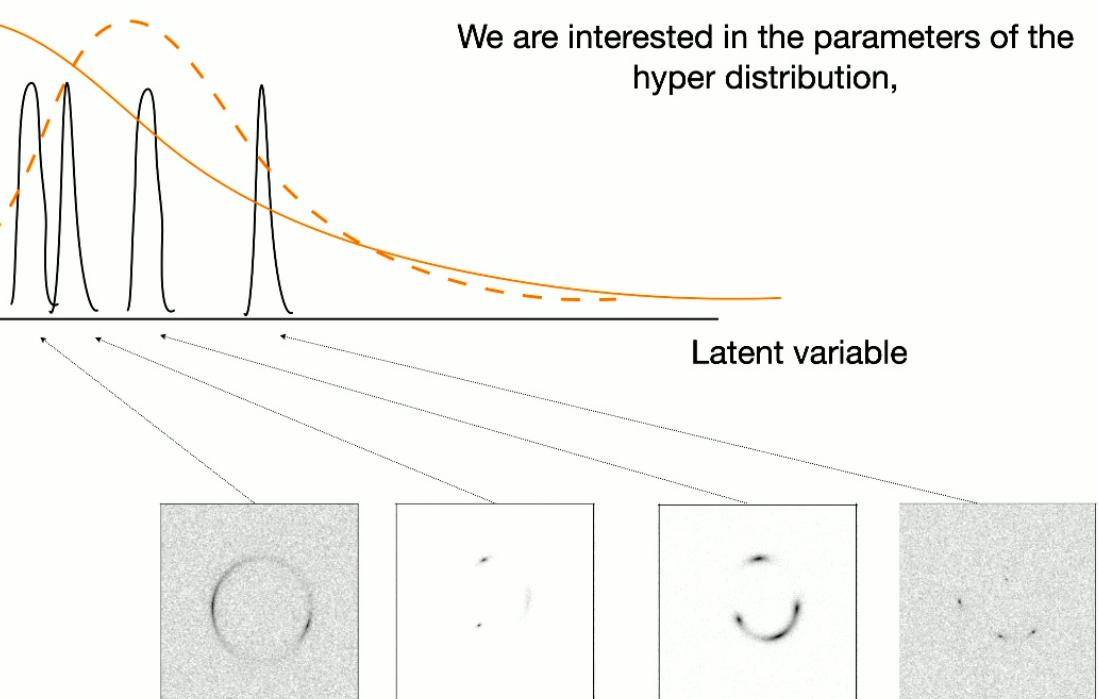
$$p(\lambda | \{x_i\}) = \frac{p(\lambda) \prod_i p(x_i | \lambda)}{\int d\lambda' p(\lambda') \prod_i p(x_i | \lambda')}$$

$p(x_i | \lambda) = \int p(x_i | \theta) p(\theta | \lambda) d\theta$

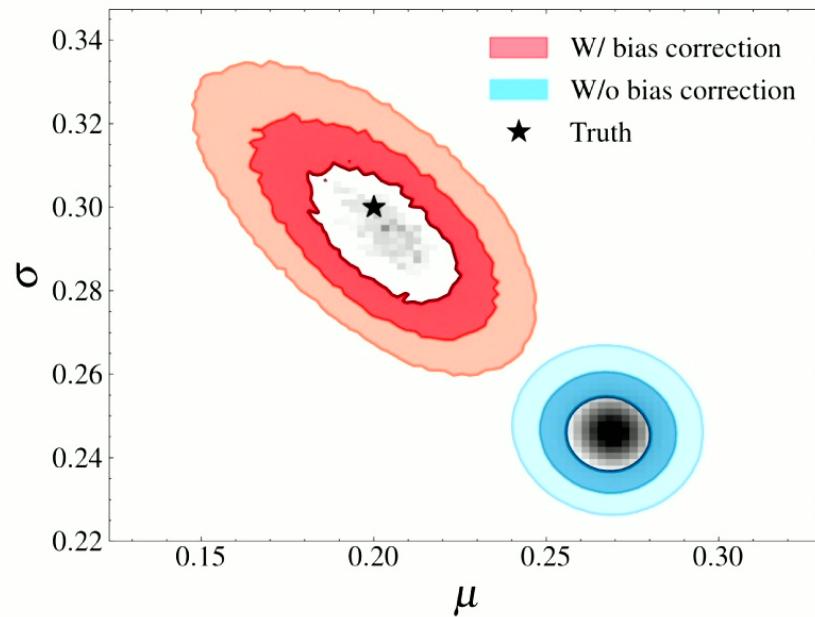
$$p(x_i | \lambda) = \frac{\int p(x_i | \theta) p(\theta | \lambda) d\theta}{\alpha(\lambda)},$$

$$\alpha(\lambda) = \int p_{\text{det}}(\theta) p(\theta | \lambda) d\theta$$

We are interested in the parameters of the hyper distribution,



Hierarchical Bayesian inference



Ronan Legin

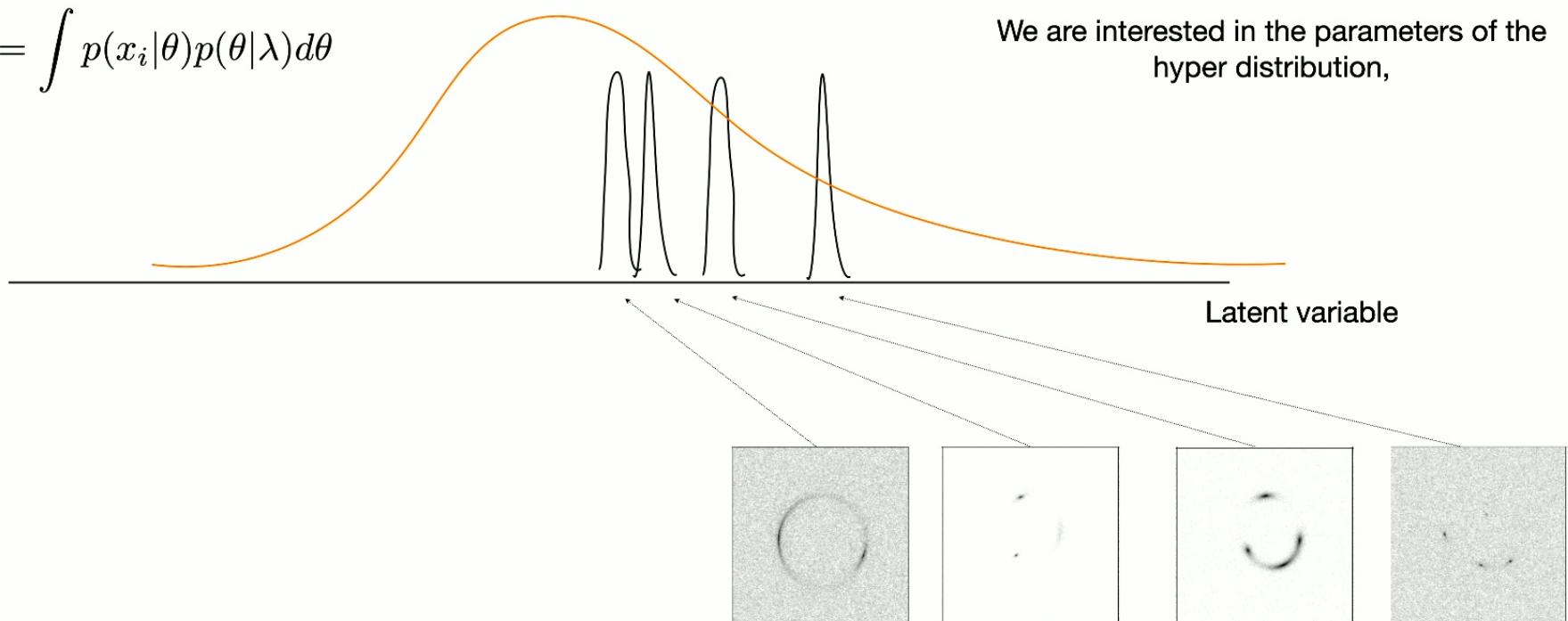
Connor Stone

Legin, Stone, Hezaveh, Perreault Levasseur,
ICML 2022 - Machine Learning for Astrophysics

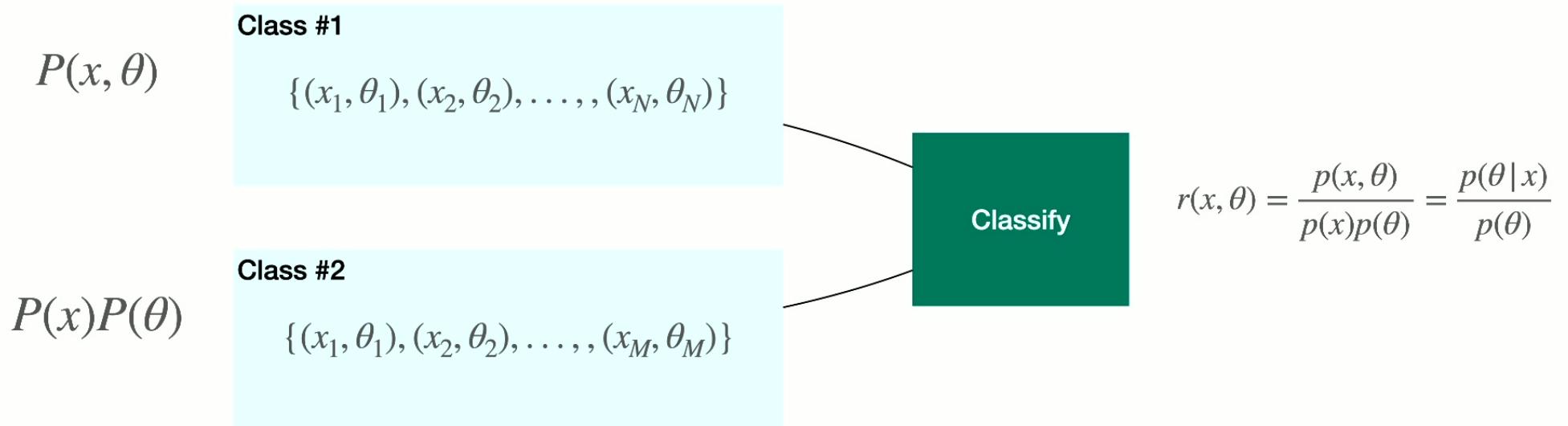
Hierarchical Bayesian inference

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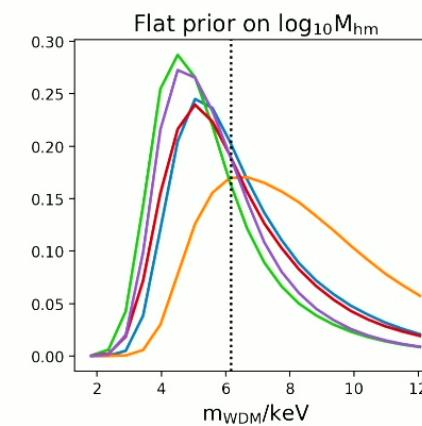
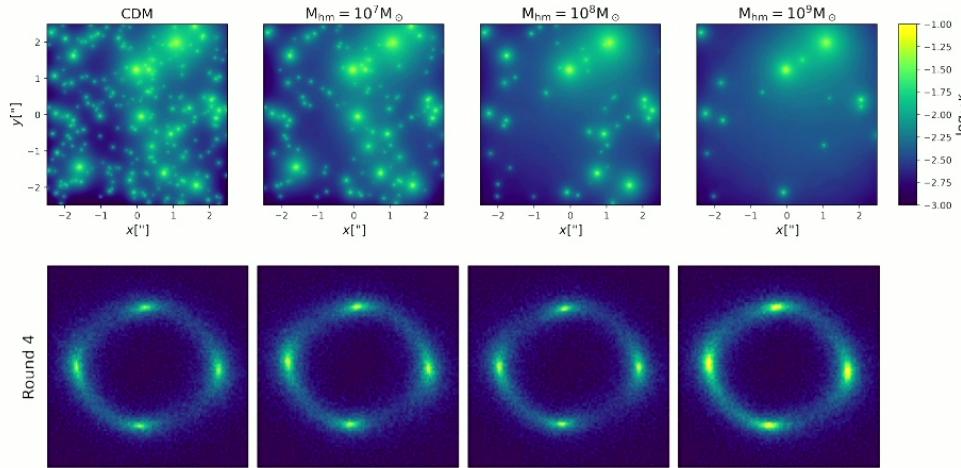
$$p(x_i | \lambda) = \int p(x_i | \theta) p(\theta | \lambda) d\theta$$



Neural Ratio Estimators



Estimating the dark matter particle temperature with Neural Ratio Estimators

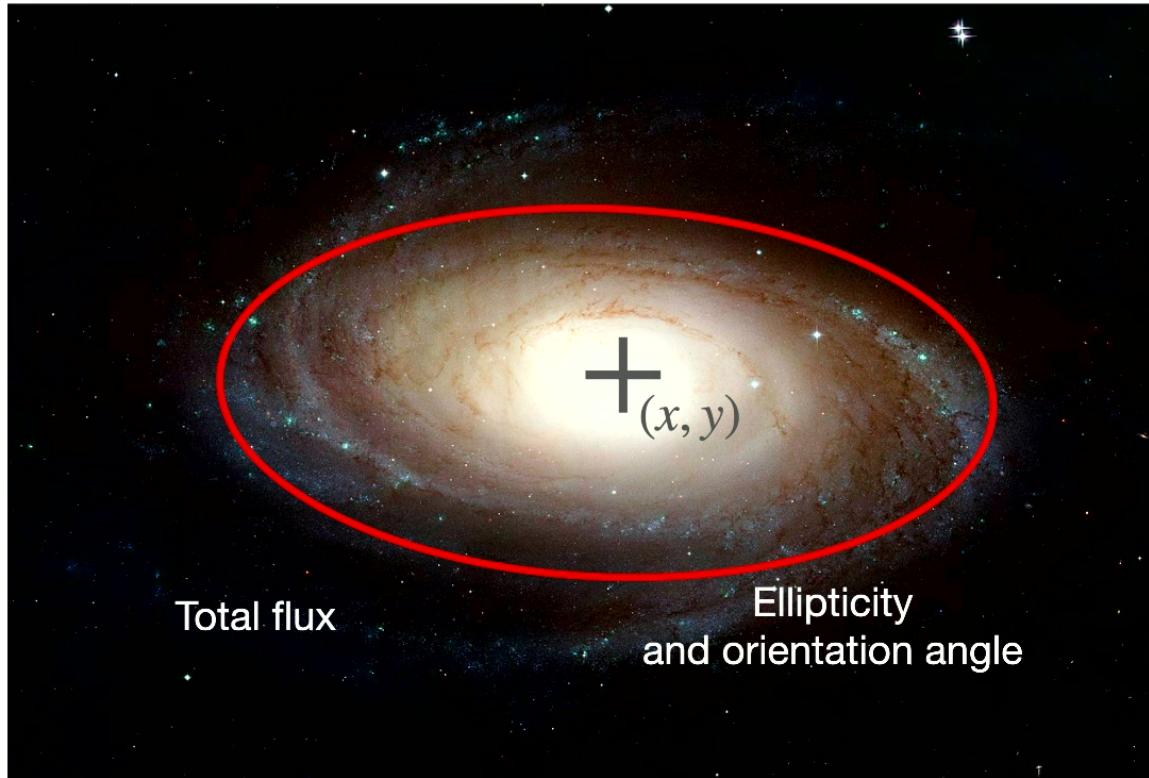


Adam Coogan

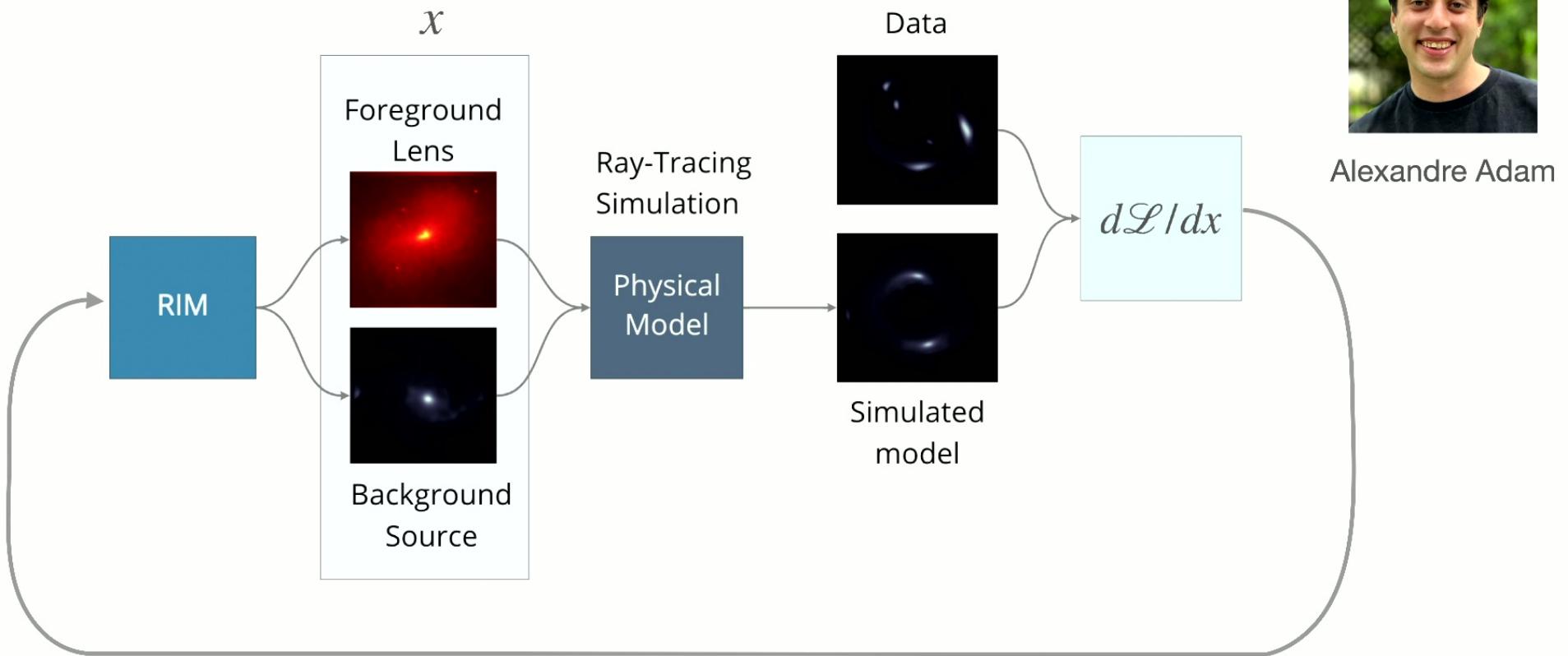
Anau Montel, Coogan et al. 2022

Coogan et al.
NeurIPS 2020 - Physical Sciences

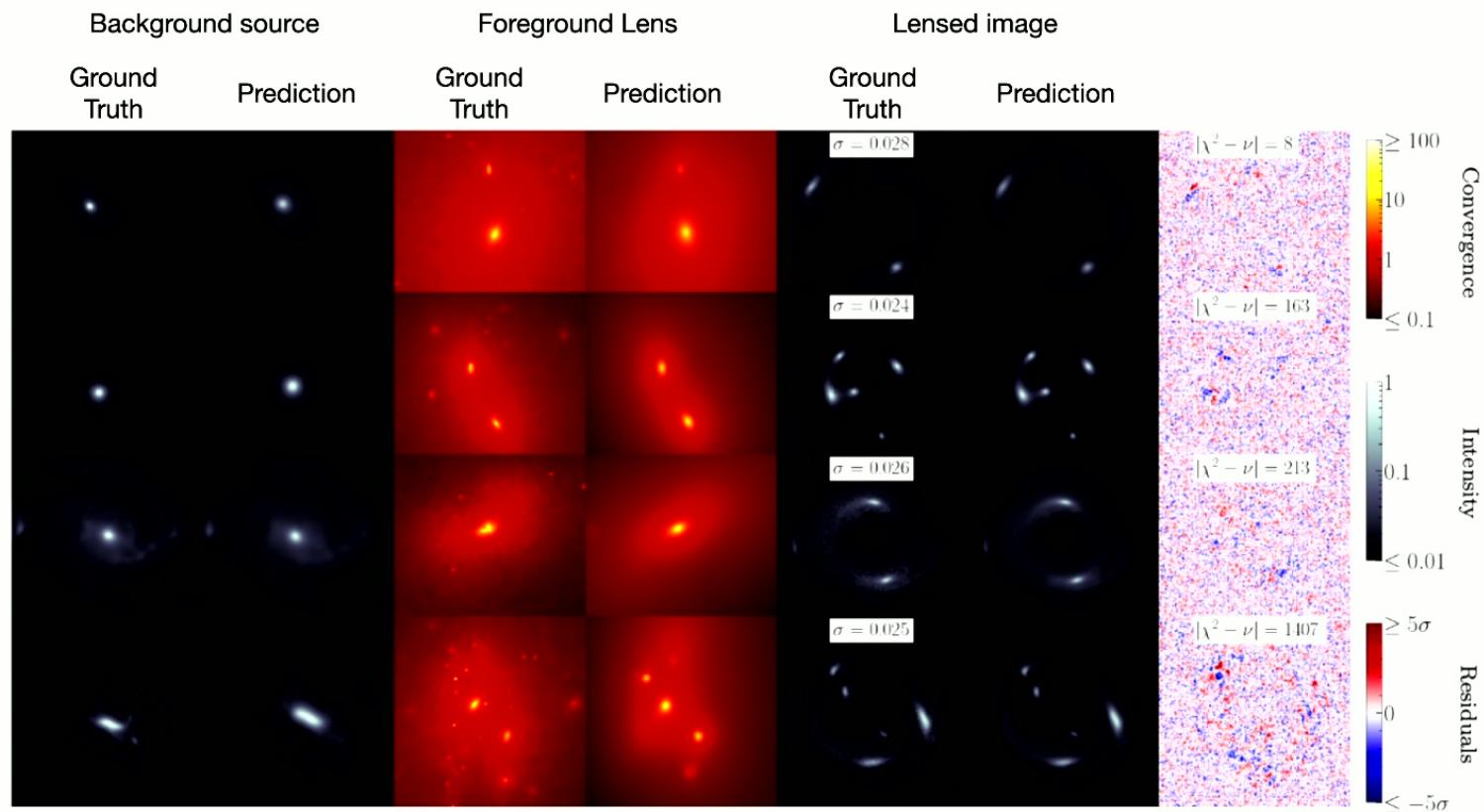
High-dimensional (pixelated) representations



The Recurrent Inference Machine



The Recurrent Inference Machine



Adam, Perreault Levasseur, Hezaveh, Welling
ICML 2022 - Machine Learning for Astrophysics Workshop

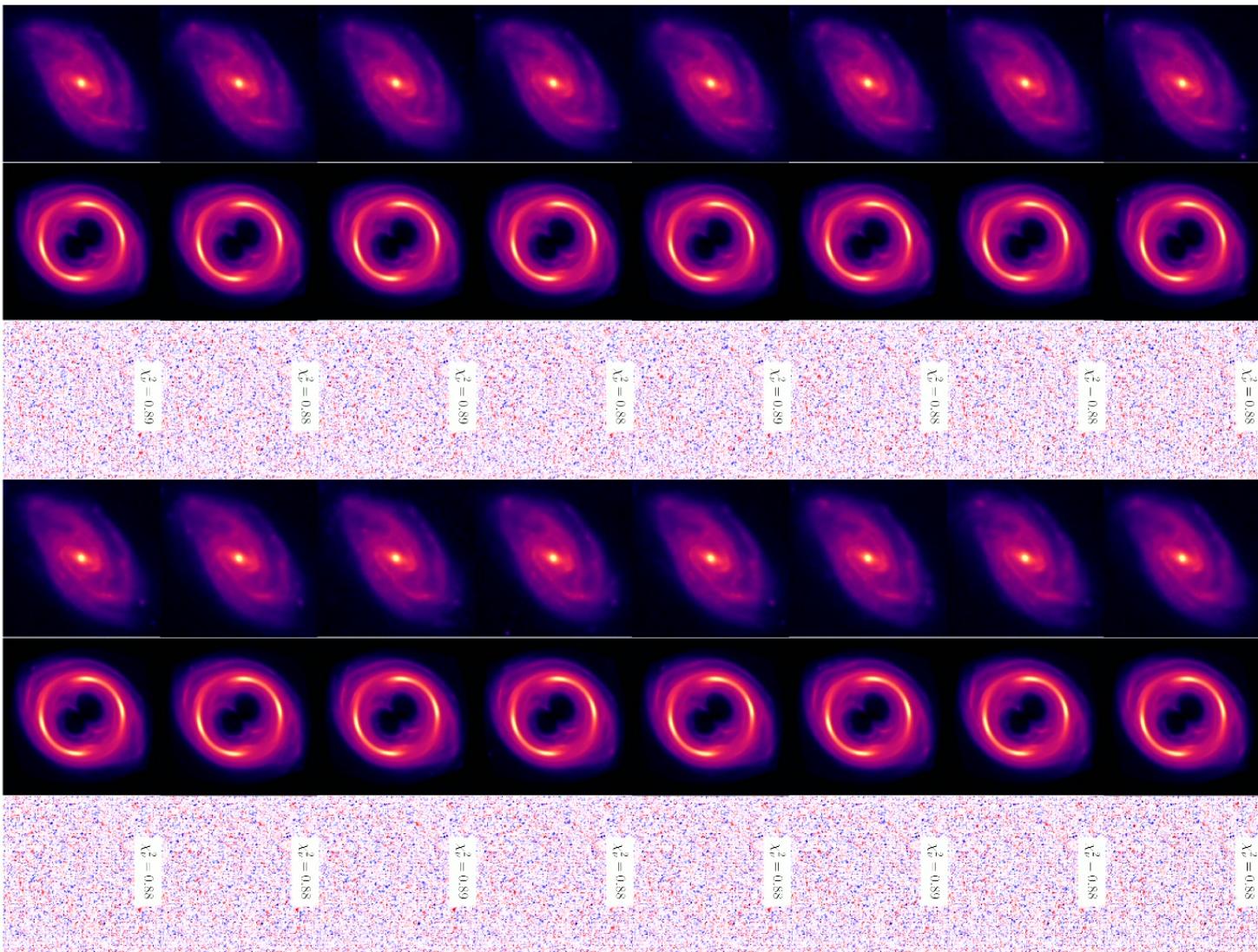
Estimating the posteriors of high-dimensional (pixelated) representations

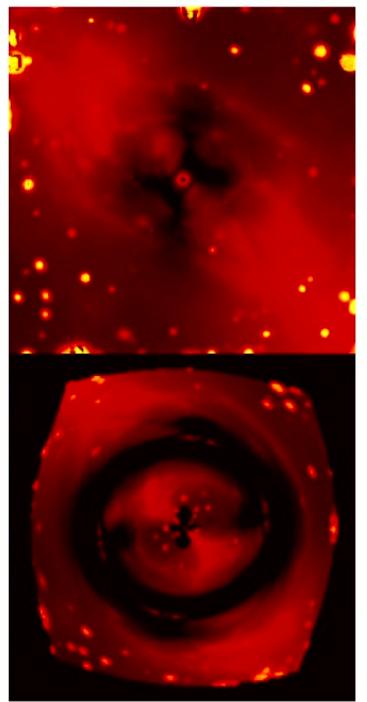
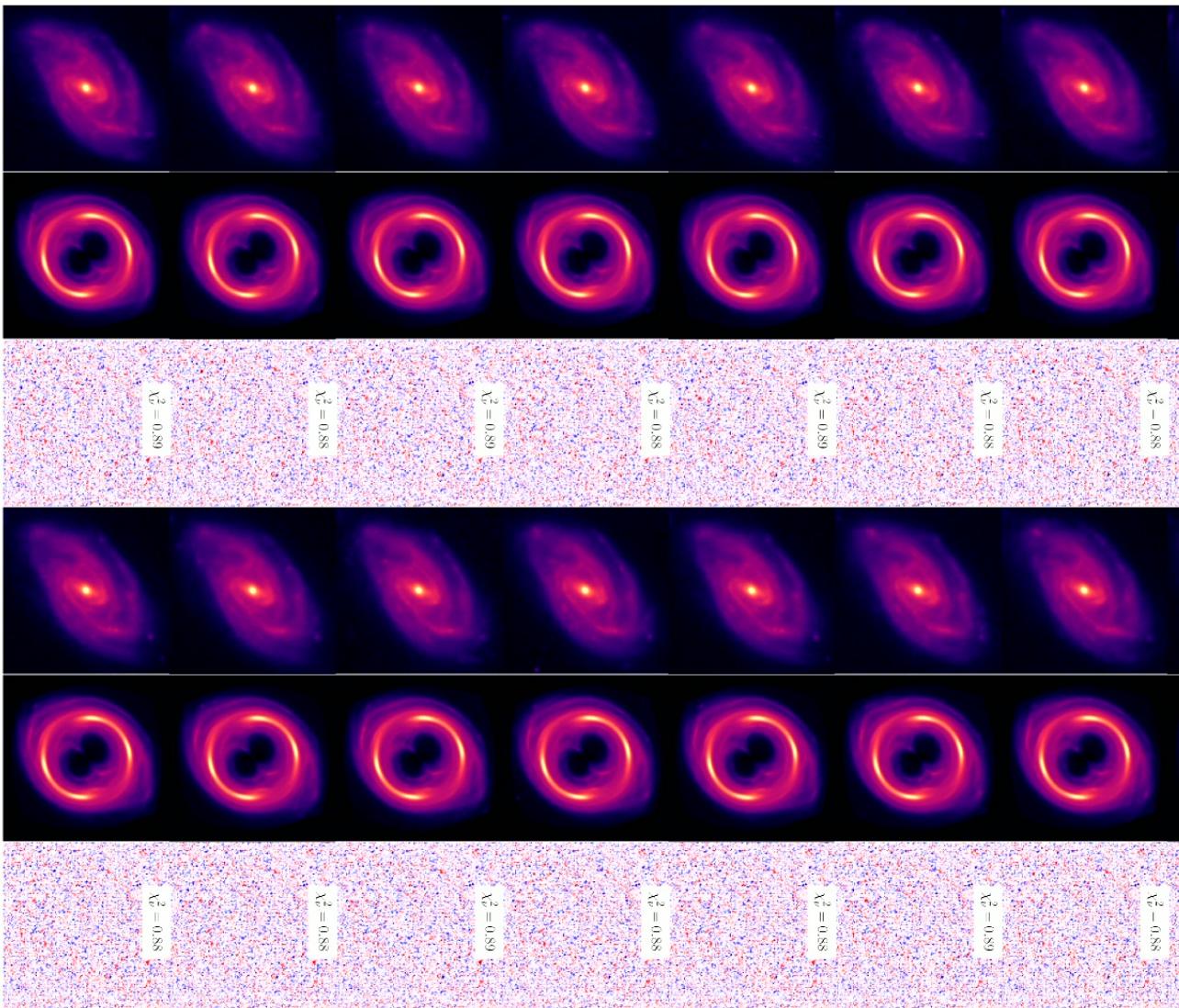
$$\log p(\mathbf{x} \mid \text{data}) = \log p(\text{data} \mid \mathbf{x}) + \log p(\mathbf{x}) - \log p(\text{data})$$

$$\nabla_{\mathbf{x}} \log p(\mathbf{x} \mid \text{data}) = \nabla_{\mathbf{x}} \log p(\text{data} \mid \mathbf{x}) + \nabla_{\mathbf{x}} \log p(\mathbf{x})$$

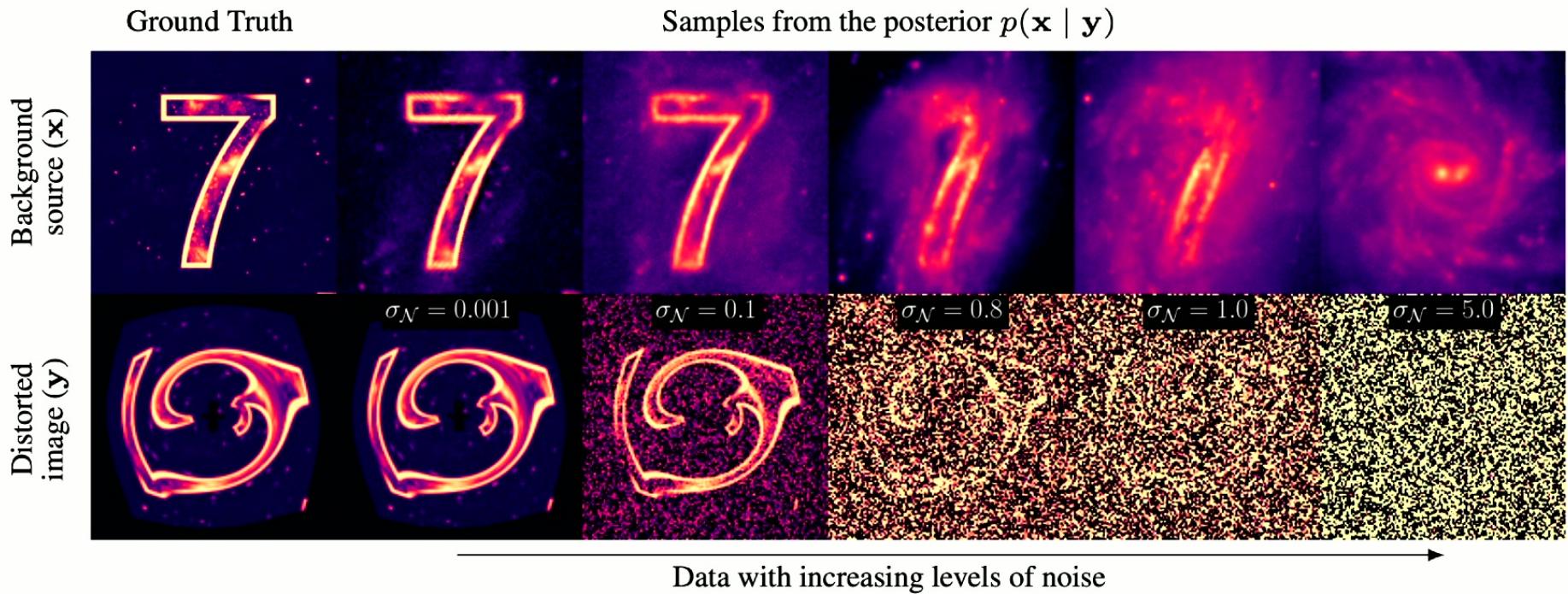
Learned from
training data

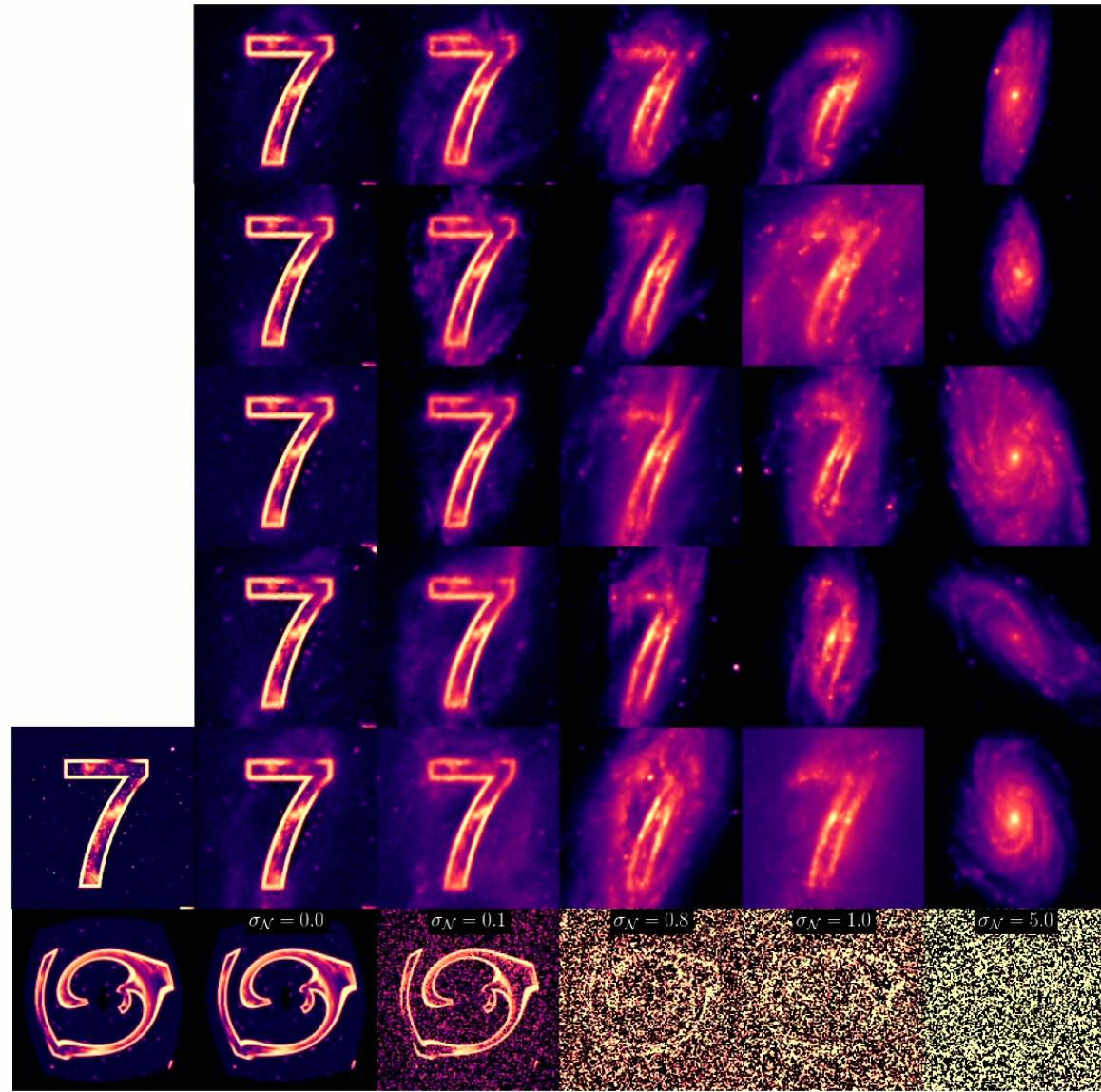
Langevin Sampling $\mathbf{x}_{i+1} \leftarrow \mathbf{x}_i + \epsilon \nabla_{\mathbf{x}} \log p(\mathbf{x}) + \sqrt{2\epsilon} \mathbf{z}_i, \quad i = 0, 1, \dots, K,$



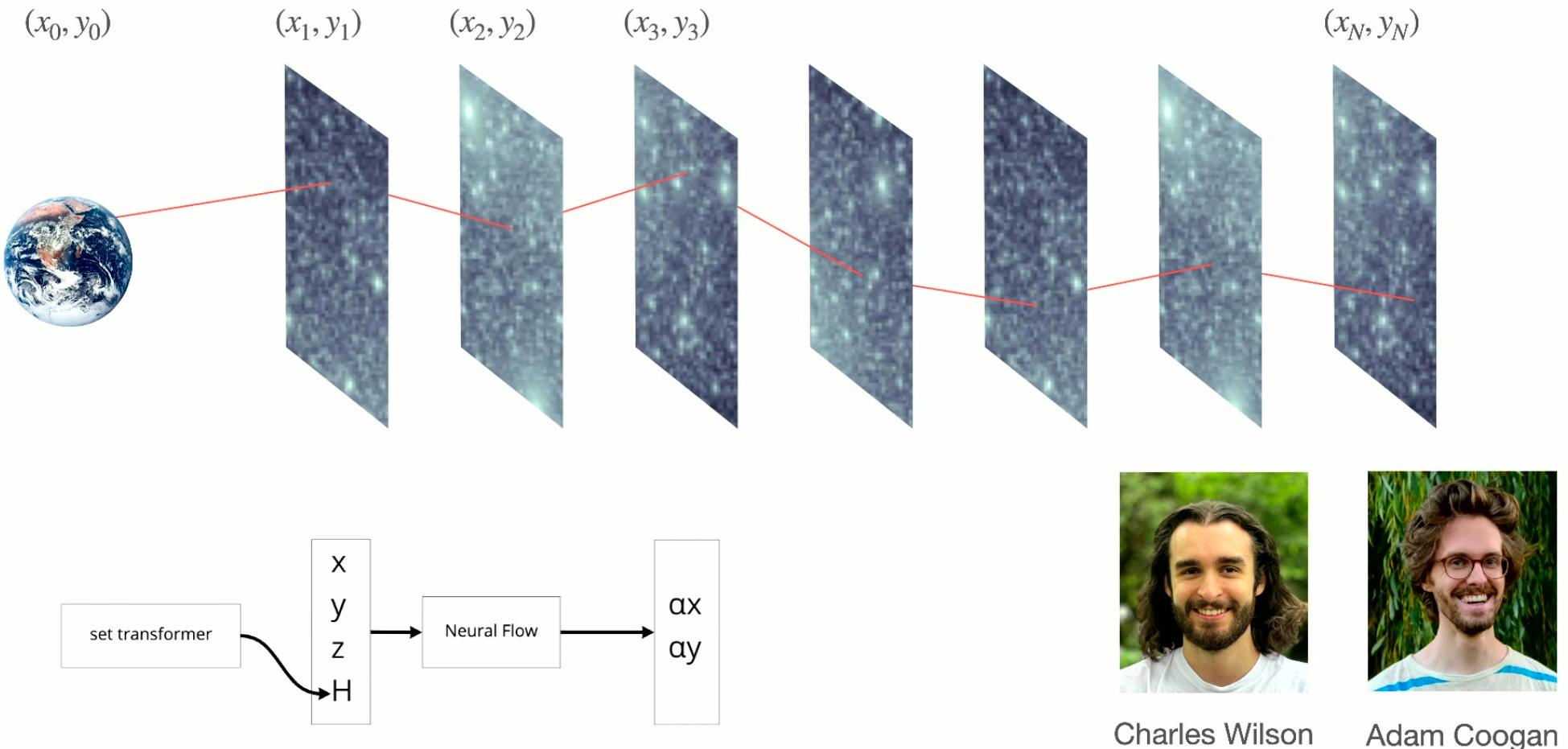


Out of distribution tests

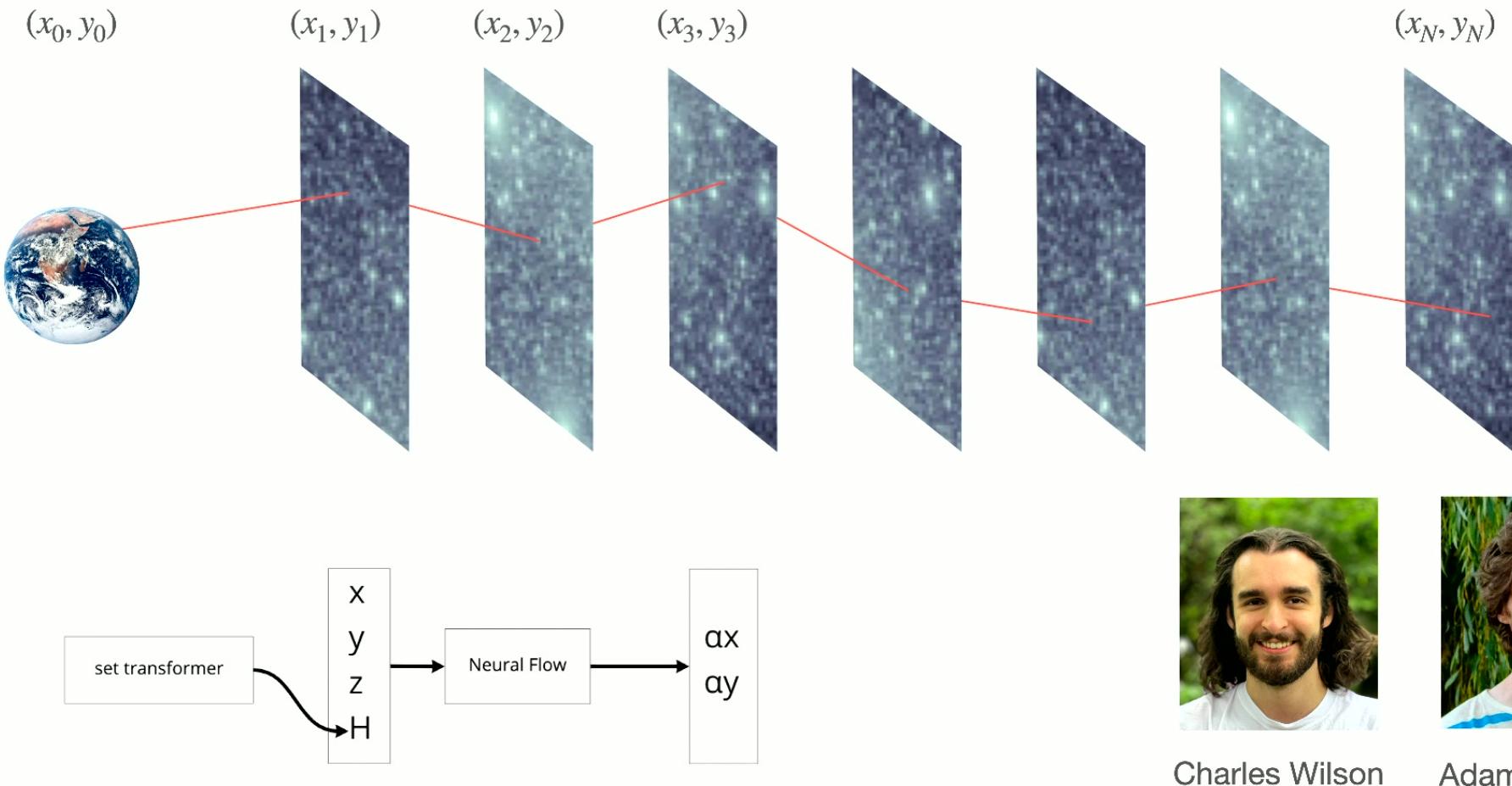




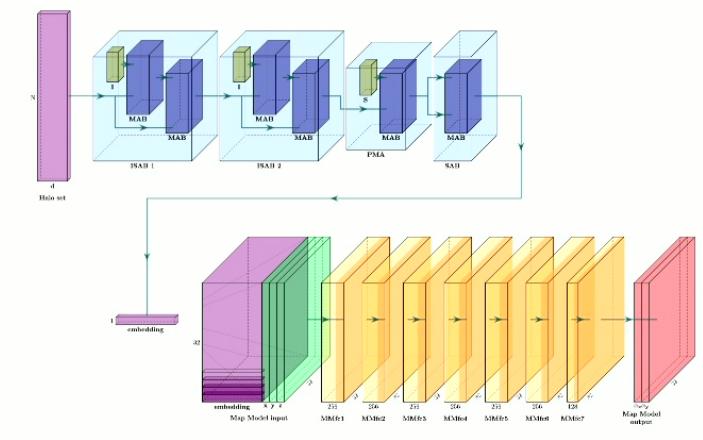
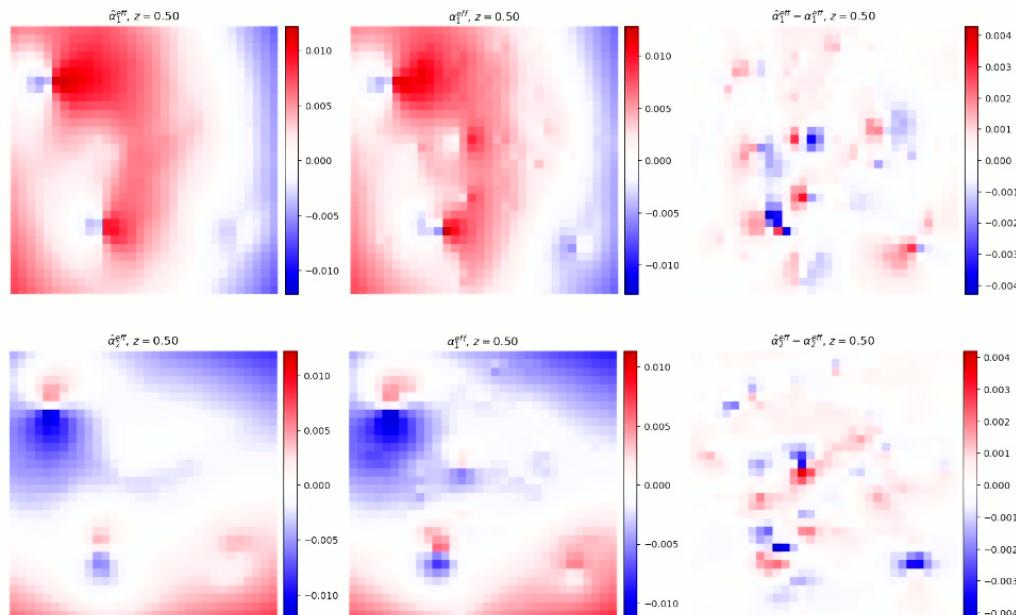
Speeding up the simulations



Speeding up the simulations



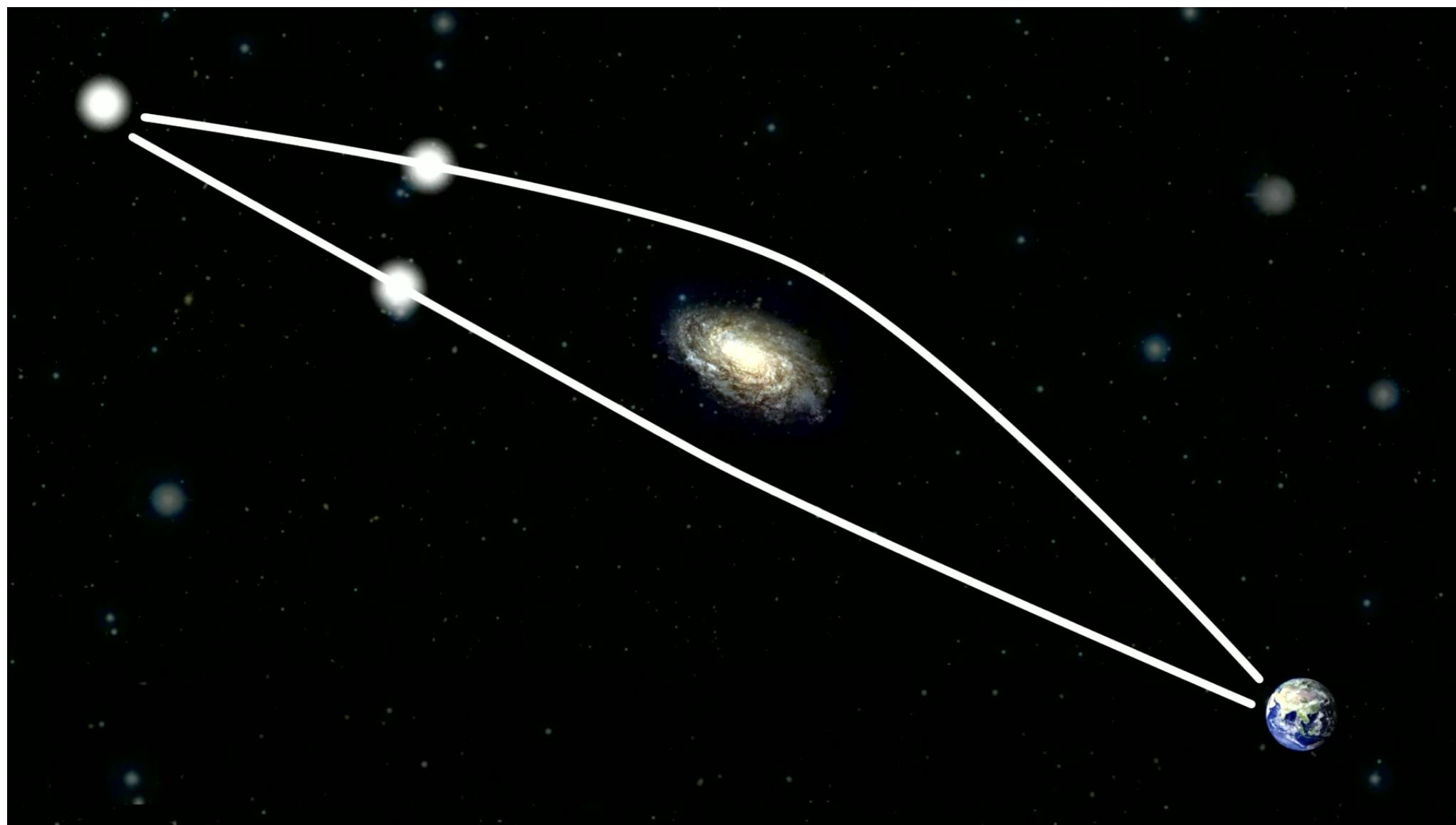
Speeding up the simulations



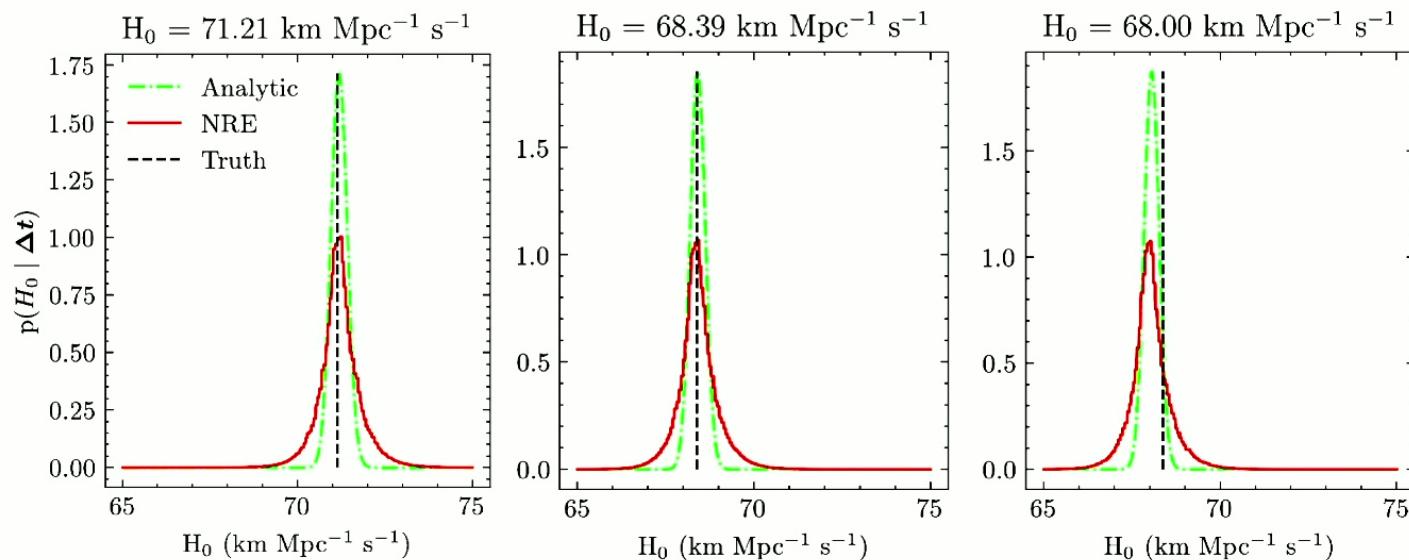
Charles Wilson



Adam Coogan

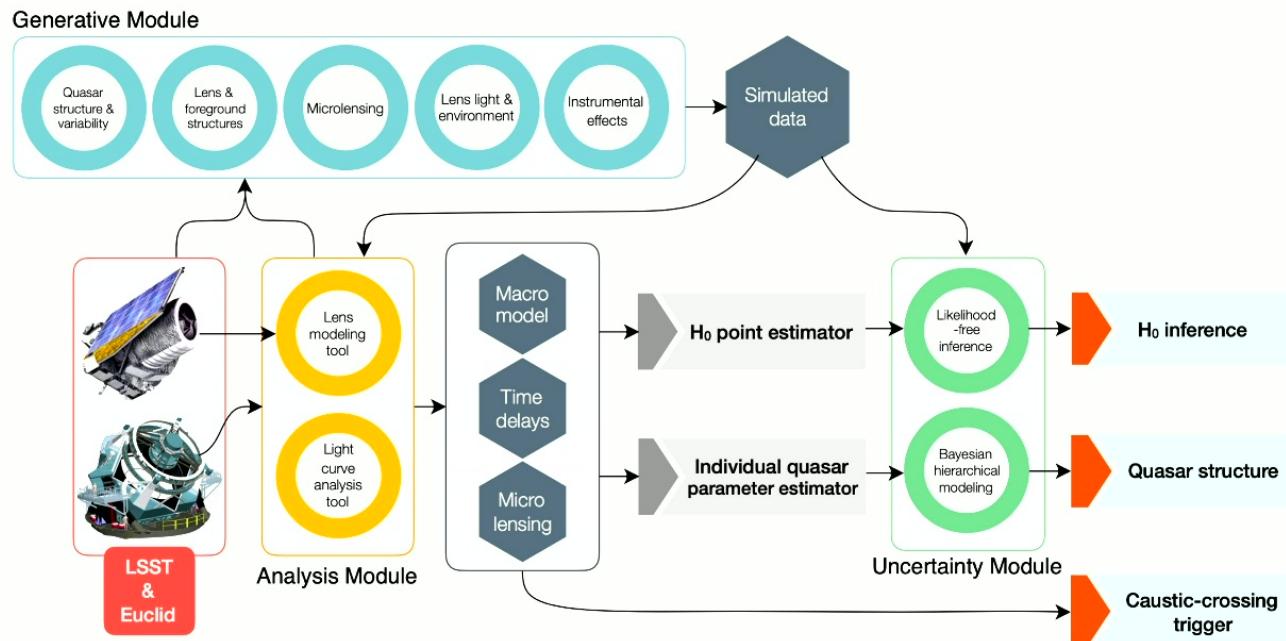


H_0 Inference with Neural Ratio Estimators



Ève Campeau-Poirier

An analysis pipeline for strong lensing data



 SCHMIDT FUTURES



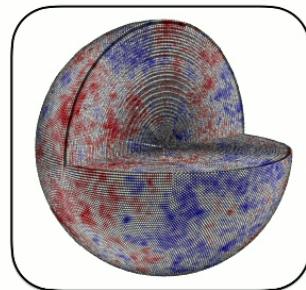
Université de Montréal

CUNY

Project Goals

Use cosmological observations to infer:

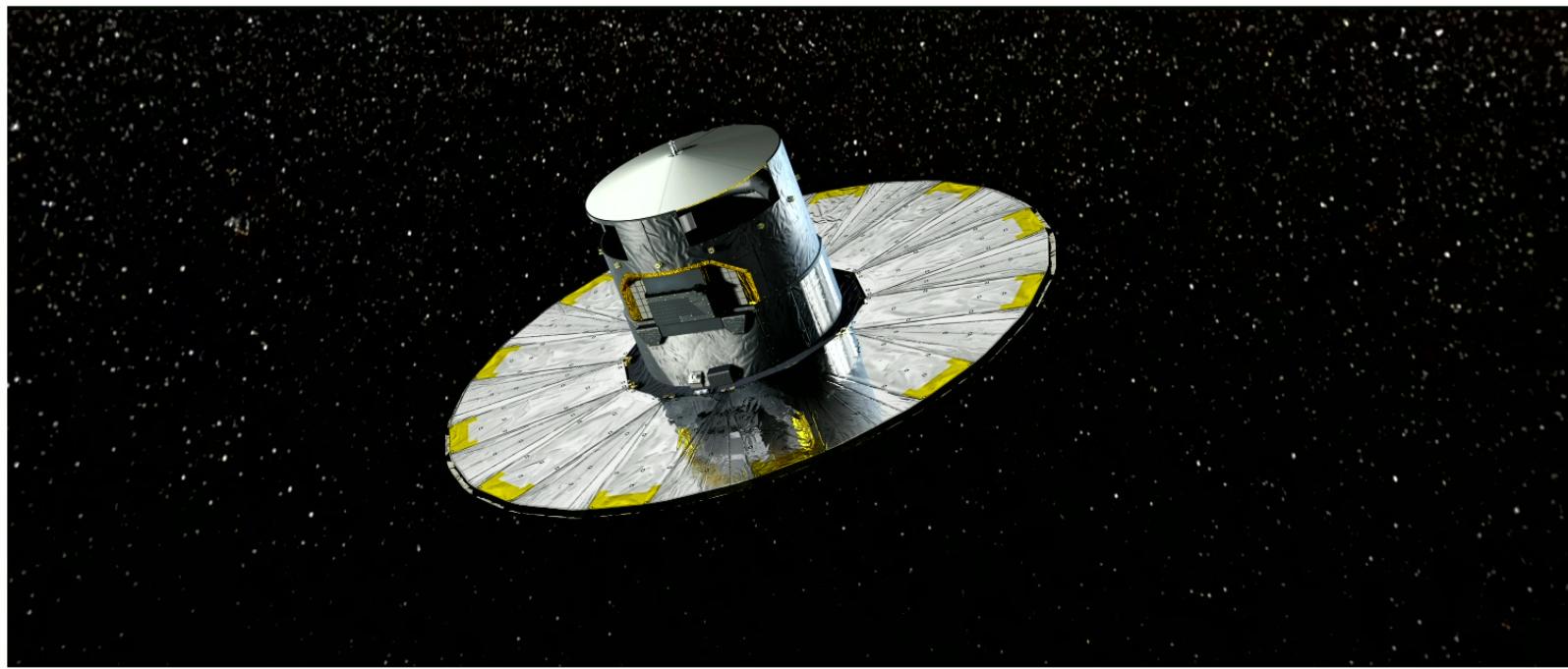
INITIAL CONDITIONS OF THE
UNIVERSE:
PHASES AND AMPLITUDES



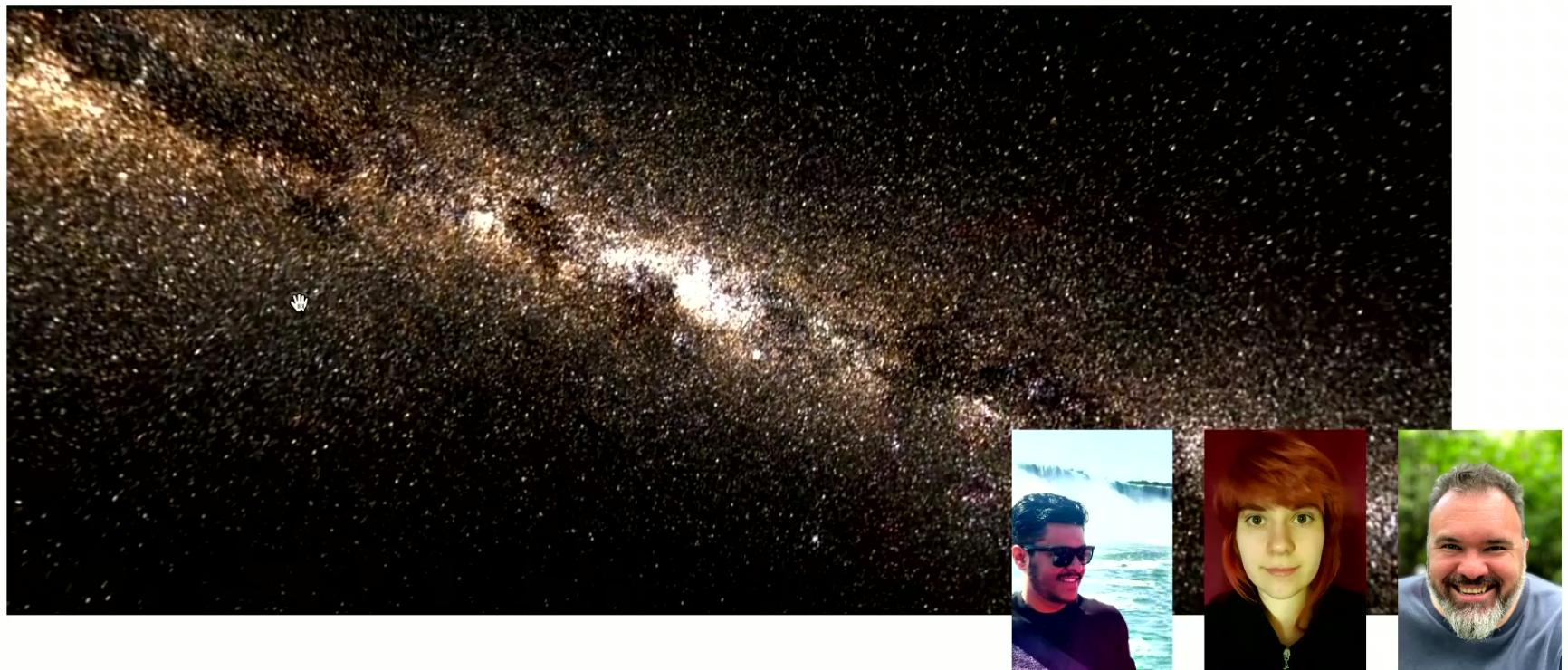
COSMOLOGICAL
PARAMETERS

$$\begin{aligned}\Omega_m, \Omega_b, m_\nu, \dots \\ \Omega_\Lambda, w_0, w_a, \dots\end{aligned}$$

Unsupervised learning for anomaly detection in GAIA data



Unsupervised learning for anomaly detection in GAIA data



Vineet Jain Claudia Bielecki Mario Pasquato

Posterior sampling with
GFlowNets and Reinforcement
Learning



Pablo Lemos



Laura Leuzzi

Measuring the masses of SMBH
with resolved kinematics and
gravitational lensing



David Chemaly



Hasti Nafisi

Quantifying dark matter
subhalos with LSST



Andreas Filipp



Connor Stone

Lensing posterior estimation
with interferometric data and
score-based priors



Michael Barth



Hadi Sotoudeh

Modeling strong lenses on
cluster scales

Adjusting priors for closed-
form linear inversions

Combining stellar population
and strong lens modelling on
galactic scales

Posterior estimation with
variational inference

Explore Algorithmically

Institute for Computation and
Astrophysical Data Analysis

Ciela Institute

Ciela is a research institute dedicated to the development and application of computational tools and methodology for astrophysical data analysis, in order to help us improve our understanding of the Universe on scales ranging from planets to its largest structures. It supports

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Ravanbakhsh



Julie
Hlavacek-Larrondo



Derek
Nowrouzezahrai



Guy Wolf

Astrophysics

Astrophysics

Computer Science

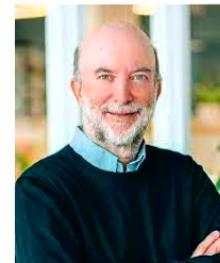
Astrophysics

Computer Science

Statistics



Yoshua Bengio
Mila



Luc Vinet
IVADO



David Spergel
Simons Foundation

ASTROMATIC

2022

JULY 31 - AUGUST 6

CITY OF MONTREAL



The airfare and accommodation costs will be covered by the organization.

MORE INFOS: astro.umontreal.ca/astromatic/



Deadline: April 15 2022



Thank you