Title: Special Guest Talk - 'The serendipitous road to a Nobel prize' Speakers: Anthony Leggett Collection: The Day of Discovery Date: October 20, 2022 - 2:30 PM URL: https://pirsa.org/22100069



Τ

# THE SERENDIPITOUS ROAD TO A NOBEL PRIZE

## Anthony J. Leggett Department of Physics University of Illinois at Urbana-Champaign

Raman Research Institute, Bengaluru

2 February 2019

Pirsa: 22100069



### THE <sup>3</sup>HE NMR PUZZLE (cont.)

RRIP-5

In A phase, precession freq. v is larger than value ( $\gamma H_{ext}$ ) in N phase, and given be expression of form

 $v = \gamma \sqrt{H_{ext}^2 + H_{int}^2(T)}$ 

Simplest interpretation:



nuclear spins process around Htot not Hext

Problem:

Only possible origin of H<sub>int</sub> (T) is other nuclear spins



Max. value of field of one nuclear spin on another (at distance of closest approach of atoms)  $\leq 1$  gauss.

But, experimental value of  $H_{int}(T)$  is ~ 30 gauss!

FIRST EVIDENCE FOR BREAKDOWN OF QUANTUM MECHANICS?



RRIP-6

#### RESULT OF MORE SOPHISTICATED APPROACH:

- Simple classical argument too naive. (no "transverse" internal field)
- Nevertheless, indeed predict formula

 $v = \gamma \sqrt{H_{ext}^2 + H_o^2(T)}$ 

where  $H_0^{a}(T)$  is proportional to average value of nuclear dipole

Experimental value of  $H_0(T) \rightarrow E_{dip}(T) \sim 10^{-3} \text{ ergs/cm}^3$ 



- energy difference ( $\Delta E$ ) between "good" and "bad" orientations  $< 10^{-7}$  K per pair.
- thermal energy ( $E_{th}$ ) (=  $k_BT$ ) ~ 10<sup>-3</sup> K.

 $\Rightarrow$  preference for "good" orientation over "bad"

 $\Rightarrow$  resulting value of E<sub>dip</sub>(T) much too small to fit experiment. Need preference for "good" over "bad"  $\sim 1$  not  $\sim \Delta E/E_{th}!$ 

 $\Rightarrow$  many sleepless nights in late June 1972...

## SPONTANEOUSLY BROKEN SPIN-ORBIT SYMMETRY:

the analogy with ferromagnetism

#### FERROMAGNET

 $H_{ext}$   $\uparrow$   $\downarrow$   $\downarrow$  good bad

difference in energy per spin =  $\Delta E$  (small) Above Curie temp. ("paramagnetic" phase), spins

behave independently  $\Rightarrow$  thermal energy E<sub>th</sub> competes with  $\Delta E \Rightarrow$ polarization only  $\sim \Delta E/E_{eth} \ll 1$ 

Below  $T_c$  ("ferromagnetic" phase): strong (exchange) forces constrain all spins to lie parallel:  $\uparrow \uparrow \uparrow \uparrow \uparrow ...$  or  $\downarrow \downarrow \downarrow \downarrow \downarrow ...$ "good" "bad"

> $E_{good} - E_{bad} \sim N\Delta E \gg E_{th}$  $\Rightarrow polarization \sim 1$

# $\begin{array}{c} LIQUID {}^{3}HE \\ \uparrow \qquad \uparrow \qquad \uparrow \\ good \qquad \qquad bad \end{array}$

RRIP-7

difference in energy per pair =  $\Delta E < 10^{-7}$  K In normal phase, pairs behave independently  $\Rightarrow E_{th}$  competes with  $\Delta E \Rightarrow$  "polarization" (pref. for good orientation over bad) only  $\sim \Delta E/E_{th} \ll 1$ .

In A phase, assume: strong (kinetic-energy, VDW) forces constrain all pairs to behave in same way  $\Rightarrow$  either all "good" or all "bad"

 $\begin{array}{c} E_{good} - E_{bad} \sim \underbrace{\textbf{N} \ \Delta E}_{} \\ \ast \ E_{th} \end{array} \sim \underbrace{ -10^{23}! } \end{array}$ 

 $\Rightarrow$  polarization can be  $\sim 1$ 

But... what would make all pairs of nuclear spins behave in the same way?

A possible answer: Cooper pairs form and undergo Bose condensation! (then must all behave in exactly the same way, including internal (relative) configuration)

Spring of 1973: 1-month visit to Cornell U. (thanks to Bob Richardson) serendipity no. 4: Kyoto work on 2-band superconductors plays vital role!

⇒ detailed microscopic theory explained existing data and predicted inter alia: behavior in longitudinal NMR experiment



No such experiments existed, but done in summer of 1974 by Doug Osheroff, confirms theoretical prediction.

Another crucial theoretical development in spring 1973: Anderson-Brinkman theory of stability of A phase (difficult to understand in "naïve" BCS theory).

RRIP-9