

Title: Machine Learning (2021/2022)

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Collection: Machine Learning (2021/2022)

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Abstract: This course is designed to introduce modern machine learning techniques for studying classical and quantum many-body problems encountered in condensed matter, quantum information, and related fields of physics. Lectures will focus on introducing machine learning algorithms and discussing how they can be applied to solve problem in statistical physics. Tutorials and homework assignments will concentrate on developing programming skills to study the problems presented in lecture.

Machine Learning for Many-Body Physics

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What comes to mind when you hear about machine
↳ regression

What comes to mind when you hear about machine

↳ regression

↳ processing data

↳ supervised, unsupervised

↳ Tailor approx. of the 21st century

↳ overfitting

↳ convolution

What is ML useful for?

↳ classification (images, etc.)

↳ pattern recognition

↳ function approx.

↳ learning prob distributions

↳ generating images, art, music, ...

↳ processing large amounts of data

↳ language translation

↳ recommender algorithms (Netflix, ...)

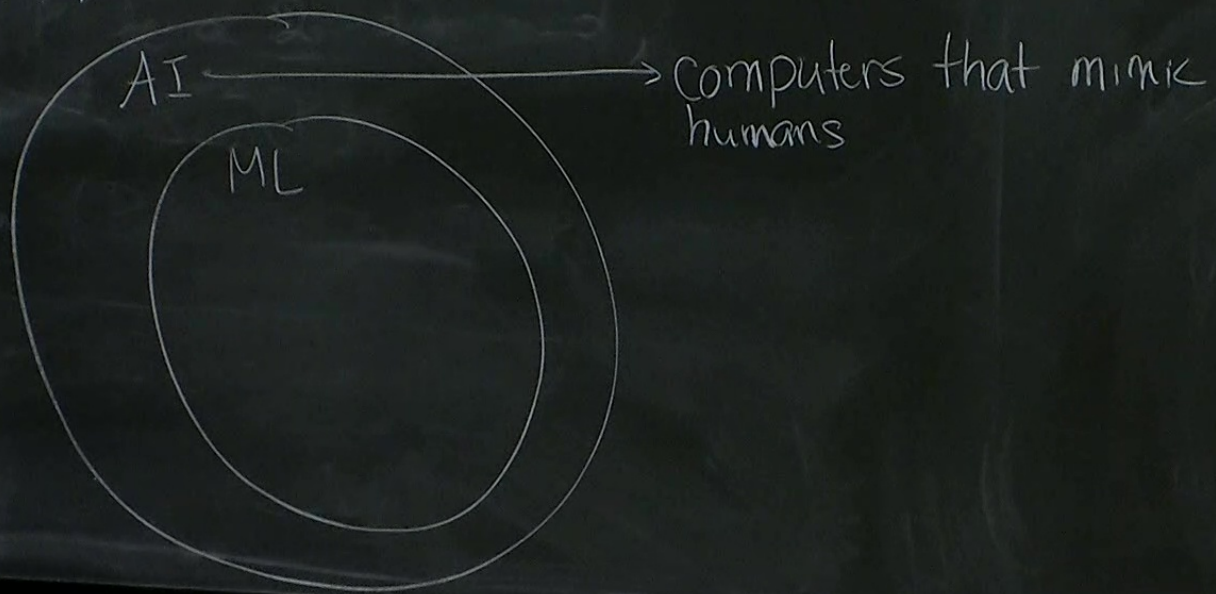
↳ playing games (eg. AlphaGo)

↳ self-driving cars

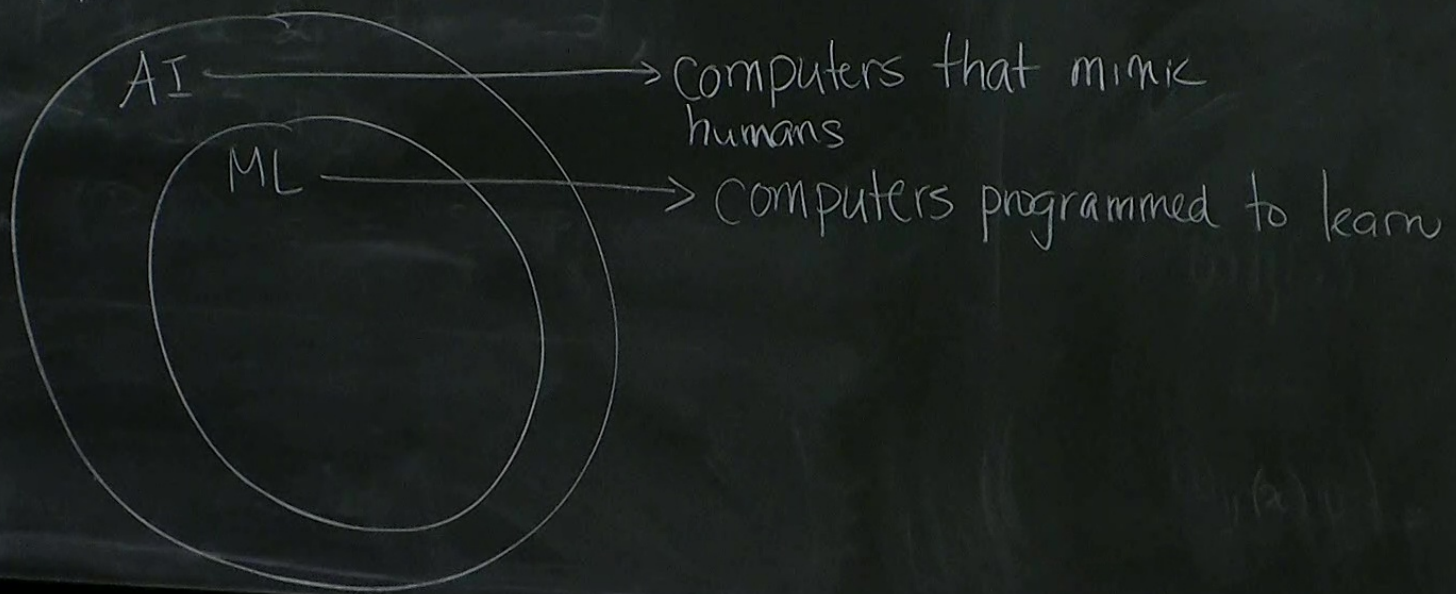
⋮

↳ learning about many-body systems and phases of matter

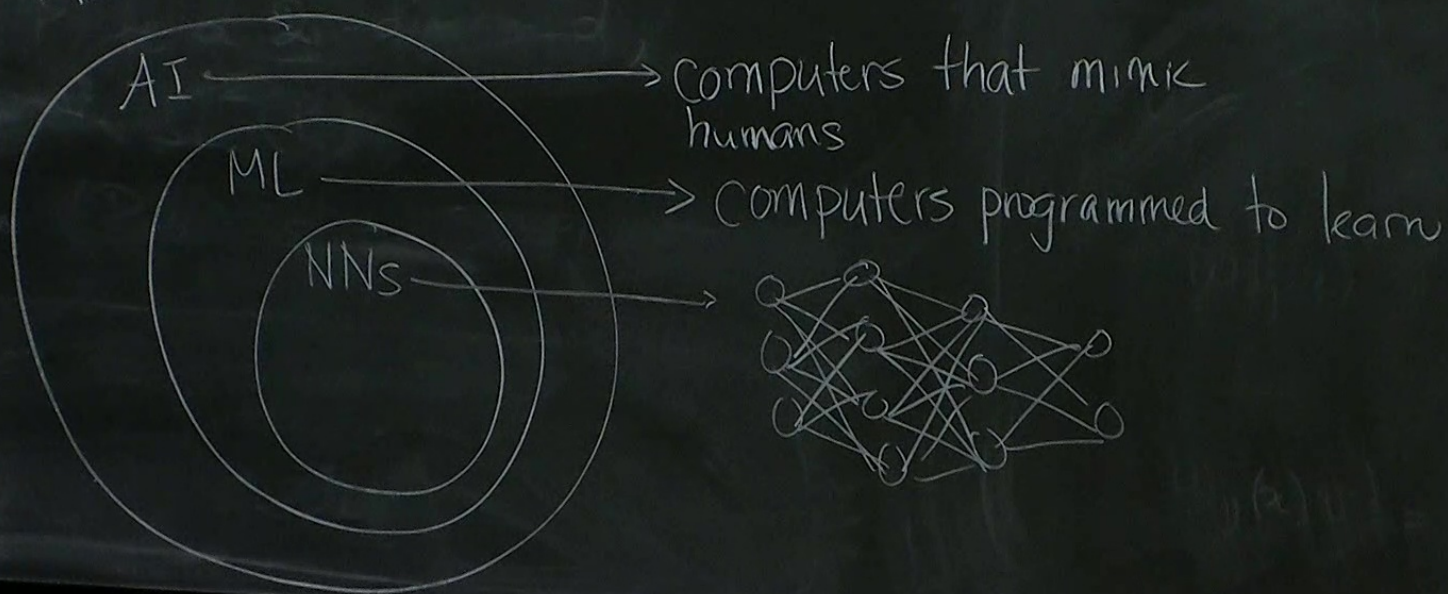
What is the difference between ML
and AI?



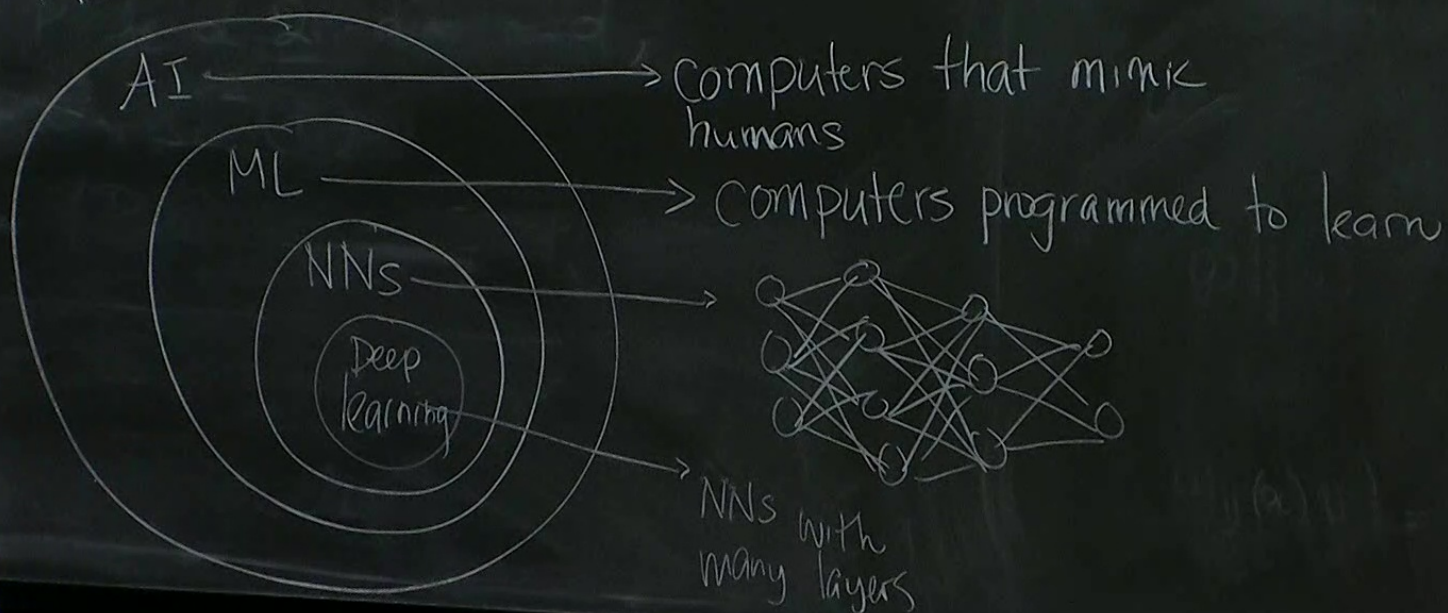
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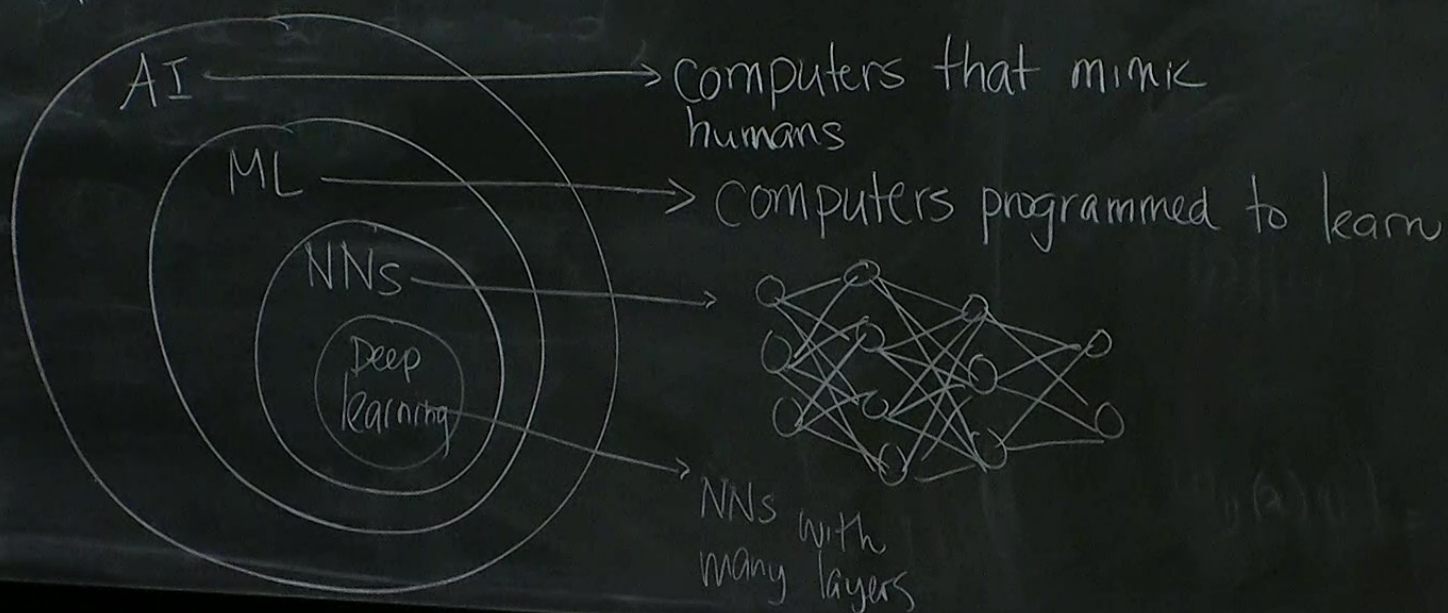
What is the difference between ML and AI?



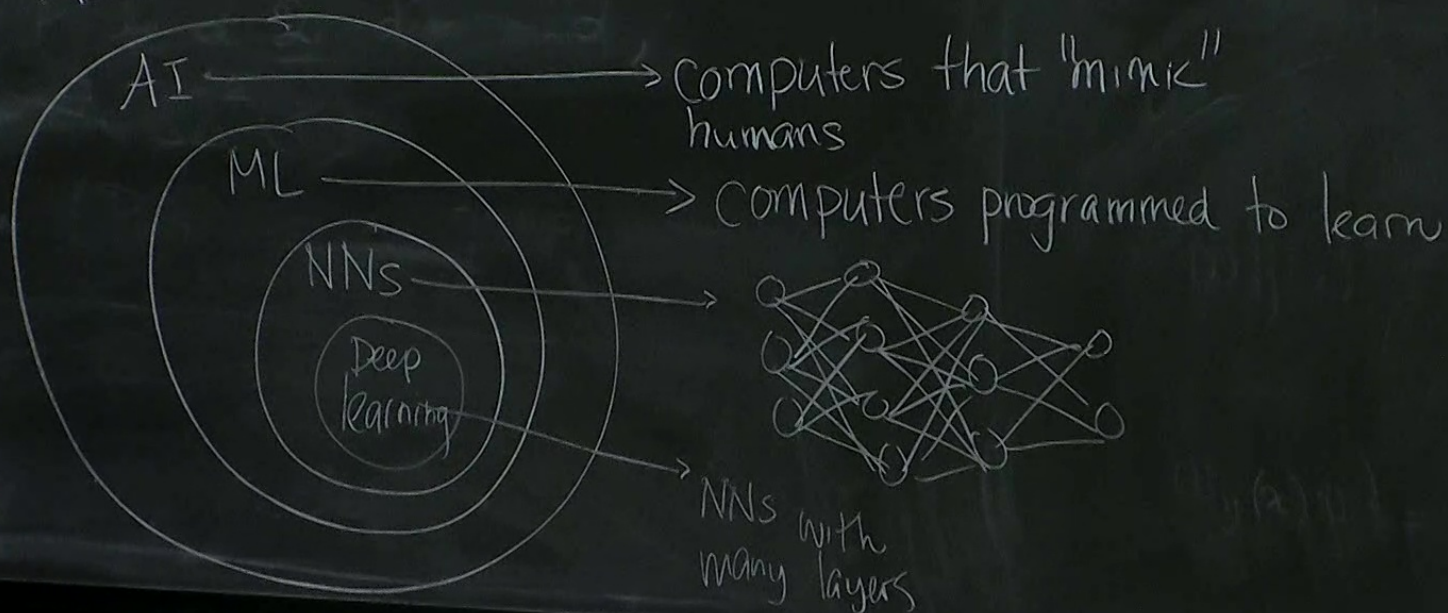
What is the difference between ML and AI?



What is the difference between ML and AI?



What is the difference between ML and AI?



ML: training computers to detect and characterize features from data

Many-body physics: predict and explain macroscopic phenomena
(features)
from microscopic quantities
(data)

Many-body physics:

- ↳ fundamentally relies on many particles interacting
- ↳ needed to describe high- T superconductors, fractional quantum Hall effect, many qubits interacting
- ↳ not needed to describe electron conduction in most metals, semiconductors (single-quasiparticle theories exist)

↳ computational methods useful because solving the Schrödinger eq. is exponentially difficult

Other computational methods:

↳ Monte Carlo

↳ tensor networks

↳ exact diagonalization

ML is typically more data driven.

Start from physical data, then
learn about properties of the system

Three general categories of ML:

① Supervised Learning (SL): Dataset $\mathcal{D} = \{(\vec{x}, y)\}$

ML is typically more data driven.

Start from physical data, then
learn about properties of the system

Three general categories of ML:

① Supervised Learning (SL): Dataset $\mathcal{D} = \{(\vec{x}, \vec{y})\}$

datapoints $\vec{x} = (x_1, x_2, \dots, x_{d_x})$ labels $\vec{y} = (y_1, y_2, \dots, y_{d_y})$

Task: fit some function $\vec{f}(\vec{x})$ to $\vec{y}$

↳ "regression" when labels are continuous

↳ "classification" " " " " discrete

datapoints
 $\vec{x} = (x_1, x_2, \dots, x_{d_x})$

$\vec{y} = (y_1, y_2, \dots, y_{d_y})$

② Unsupervised Learning (UL):
Dataset $\mathcal{D} = \{\vec{x}\}$

Task: extract meaningful features from
the dataset to efficiently represent the
underlying prob. dist. $P_{\text{data}}(\vec{x})$

③ Reinforcement Learning (RL)

(Not covered
in this course)

Task: given an "environment",
take an action so that the
resulting "reward" is maximized

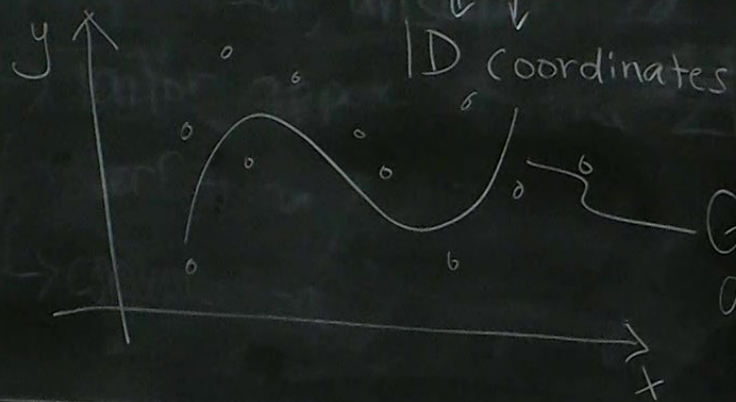
Outline

- Programming in Python (Lecture #2)
 - SL (Lectures #1, #3-8)
 - UL (Lectures #9-12)
 - Quantum ML (Lecture #13)
 - Research in <physics|ML>
- } classical ML methods

SL Examples

Example #1: 1D regression

Dataset $\mathcal{D} = \{(x, y)\}$



Goal: determine
a curve to describe
the data

Example #2 Handwritten digits

Classifier

Dataset $\mathcal{D} = \{(\vec{x}, y)\}$

image of
a handwritten
digit

the
corresponding
number

Goal: determine
a curve to describe
the data

② Unsup
Datase

Task.

the o
underl

Example #2 Handwritten digits

Classifier

Dataset $\mathcal{D} = \{(\vec{x}, y)\}$

image of
a handwritten
digit

the
corresponding
number

$\vec{x} =$



, $y = 9$

Goal: determine
curve to describe
the data

② Unsup
Datase

Task:

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$\vec{x} =$



or



$y = 1$

Example #3: Ising model

Hamiltonian $H = -J \sum_{\langle ij \rangle} S_i S_j$

- $S_i = \begin{matrix} \uparrow & \text{or} & \downarrow \\ (1 & \text{or} & 0) \end{matrix}$
- $\sum_{\langle ij \rangle}$ is a sum over near neighbours

Example #3b

Example #3b:

Recall: In 2D, this model undergoes
a phase transition when $T/J = T_c/J \approx 2.269$

- For $T < T_c$: ferromagnetic (FM)
- For $T > T_c$: paramagnetic (PM)

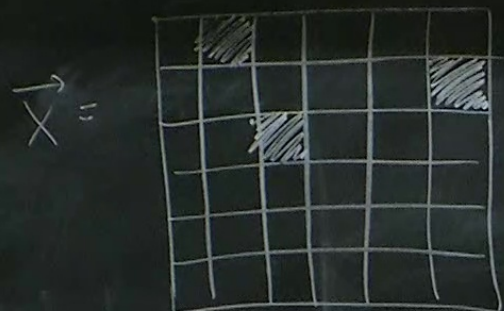
Ising phase classifier

$$\text{Dataset } \mathcal{D} = \left\{ (\vec{x}, y) \right\}$$

Spin
configuration
 $(s_1, s_2, \dots, s_N)$

$(N = \# \text{ of spins})$

FM or PM
(0 or 1)

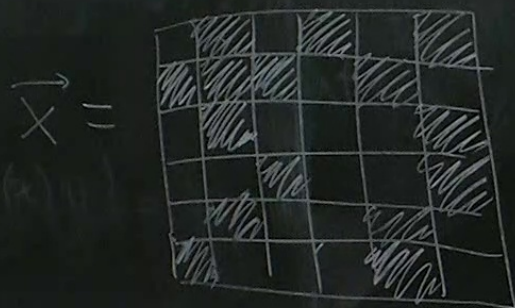


$y = \text{FM}$
(0)

where

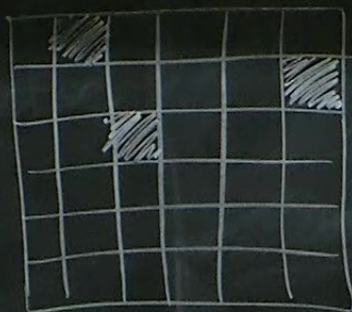
$\square = \uparrow = 1$

$\blacksquare = \downarrow = 0$



$y = \text{PM}$
(1)

$\vec{X} =$



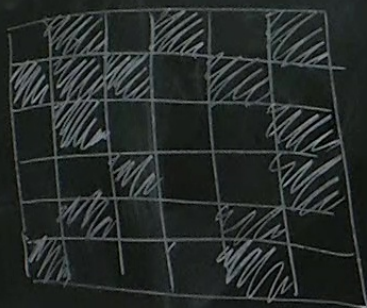
$y = \text{FM}$
(0)

where

$\square = \uparrow = 1$

$\blacksquare = \downarrow = 0$

$\vec{X} =$



$y = \text{PM}$
(1)

→ see Homework #1