

Title: Quantum Information and holography

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Collection: Quantum Information and holography (2021/2022)

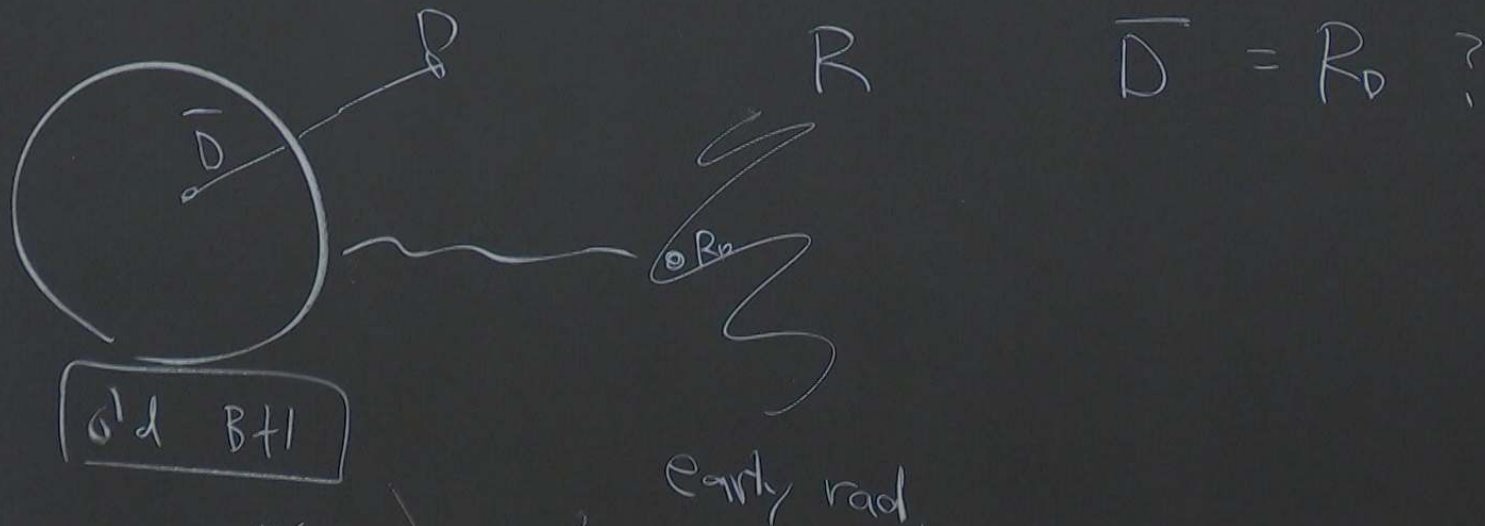
Date: April 27, 2022 - 9:00 AM

URL: <https://pirsa.org/22040054>

Abstract: Topics will include (but are not limited to):

- Quantum error correction in quantum gravity and condensed matter
- Quantum information scrambling and black hole information
- Physics of random tensor networks and random unitary circuits

Firewall puzzle (review) for old BH



~~$I(D, R) = \max$~~

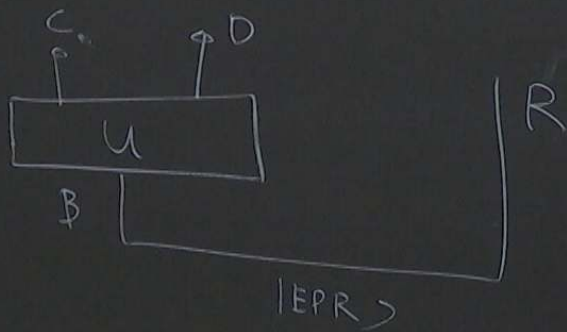
~~$I(D, \bar{R}) = \max$~~

Firewall puzzle for typical state (young BH)
(microstate)

\exists Firewall for almost all $|Y_{BH}\rangle$ (Morolf-Polchinski.)

Reconstruction of interior of

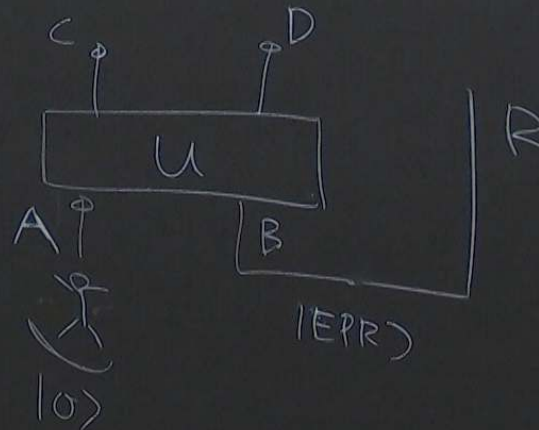
without an observer ...



$$I(D, R) = 2 \ln 0$$

"D" should be found on R.

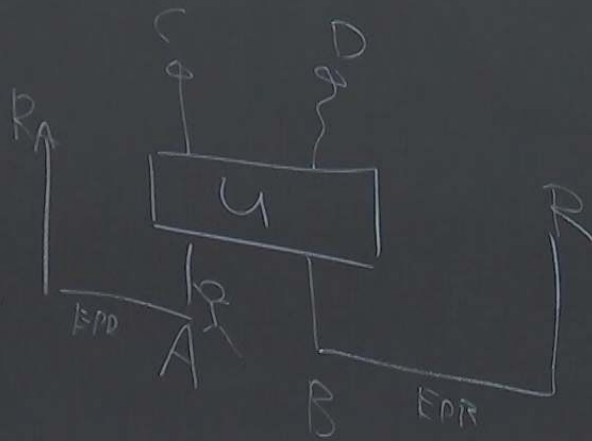
with infalling observer.



$$I(D, C) \approx 2n_D \quad (n_A > 2n_D)$$

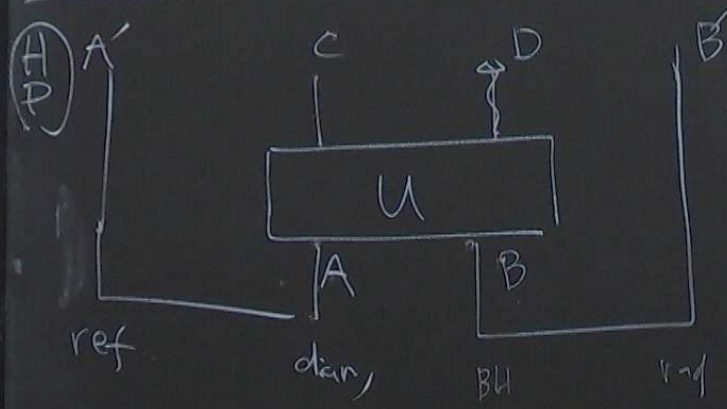
nearly max

→ D can be found on C (remains BH).



$$I(D, C) \approx 2n_D \quad (n_A > n_D)$$

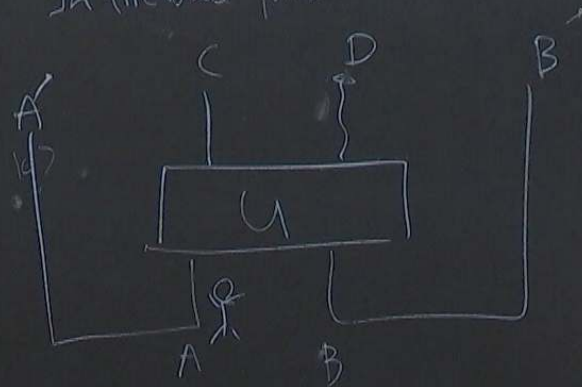
Relation to Hayden-Preskill thought experiment



$$I(A', DB') = \text{large?}$$

($n_D > n_A$)

In firewall puzzle

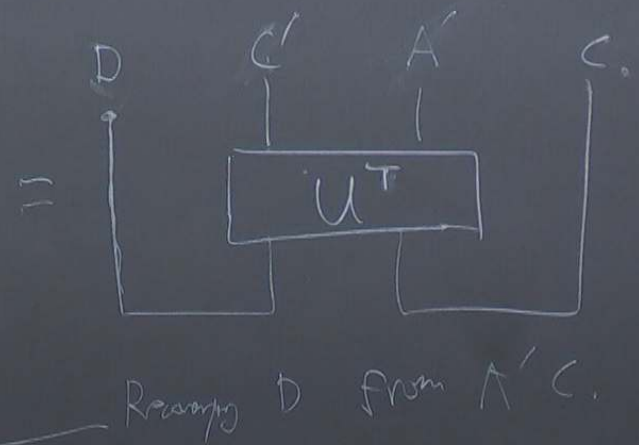
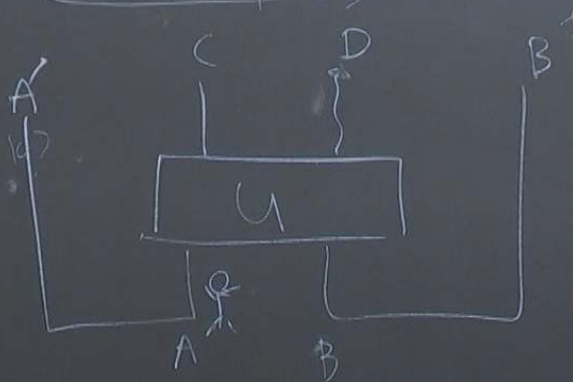
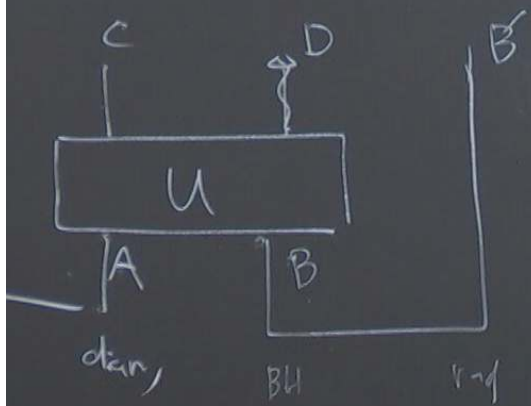


$$I(D, A'C) = \text{large?}$$

($n_A > n_D$)

to Hayden-Preskill, that experiment

In firewall puzzle



Recovering D from A' C.

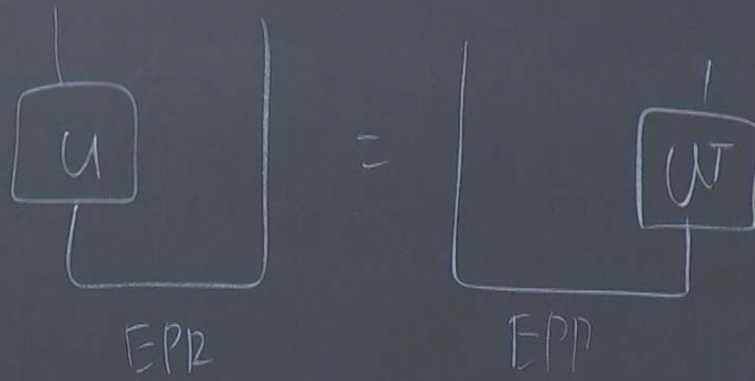
$I(D, B') = \text{large?}$

$(n_A > n_B)$

$I(D, A' C) = \text{large?}$

$(n_A > n_D)$

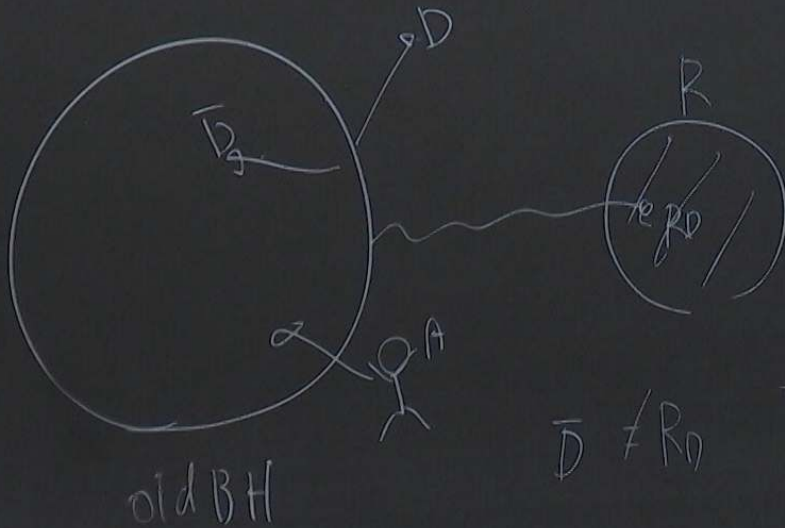
C.
C.



Implications

i). Interior mode \bar{D} dynamically changes, and is observer-dependent.

ii)

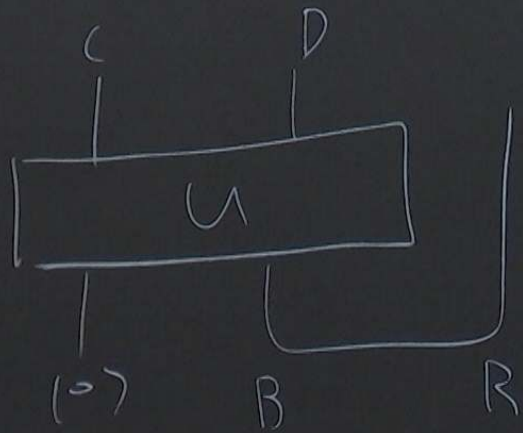


Non-fuzziness is avoided.

$$\bar{D} \neq R_0 \quad \bar{D} \in C(\text{BH})$$

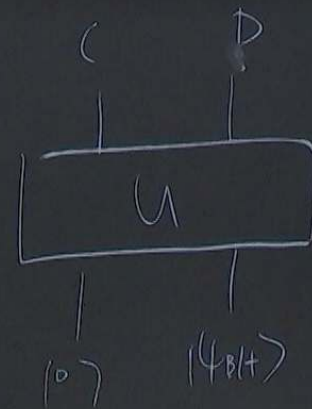
experiment. I needs to carry qubits.

typical stat. puzzle.



$$I(D, C) = \max$$

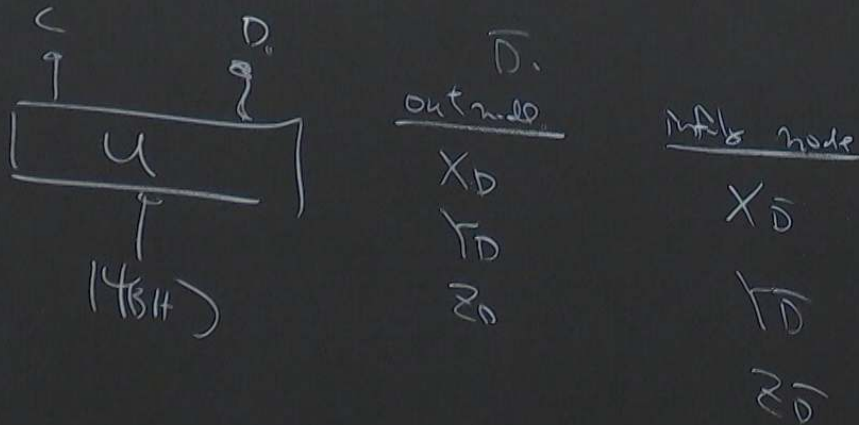
$$I(D, R) = 0$$



$$I(D, C) = \max$$

Firewall puzzle for typical state (young BH)
(microstate)

∃ Firewall for almost all (YBH) (Marolf-Polchinski)



Tate (young BH)

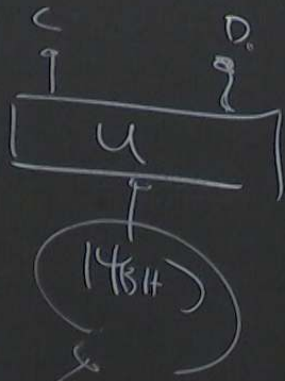
$$X^* \otimes X |EPR\rangle = |EPR\rangle$$

BH (Moroš-Polchinski)

$$\langle X_D^* \otimes X_D \rangle = \langle Y_D^* \otimes Y_D \rangle = \langle Z_D^* \otimes Z_D \rangle \approx 1$$

(M. C. V. S. (1982))

\exists Firewall for almost all $|4_{BH}\rangle$ (Marolf-Polchinski)



D.
outmode
 X_D
 Y_D
 Z_D

inmode
 X_D
 Y_D
 Z_D

$$\langle X_D^* \otimes X_D \rangle = \langle Y_D^* \otimes Y_D \rangle = \langle Z_D^* \otimes Z_D \rangle$$

$$\langle 4_{BH}(j) | X_D^* \otimes X_D | 4_{BH}(j) \rangle$$

2^n $|4_{BH}(j)\rangle$
 $j=1, \dots, 2^n$

$\psi_{\text{BH}} \rangle$ (Mandelstam-Polchinski)

$$\langle X_D^* \otimes X_D \rangle = \langle Y_D^* \otimes Y_D \rangle = \langle Z_D^* \otimes Z_D \rangle \approx 1$$

$$\langle \psi_{\text{BH}}(j) | X_D^* \otimes X_D | \psi_{\text{BH}}(j) \rangle = 1 \quad \text{for all } j,$$

$$\text{Tr}(X_D^* \otimes X_D) = 2^h$$

(microstate)

$X^* \otimes X$

almost all $|\psi_{BH}\rangle$ (Marolf-Polchinski)

$$\langle X_D^* \otimes X_D \rangle = \langle Y_D^* \otimes Y_D \rangle = \langle Z_D^* \otimes Z_D \rangle \approx 1$$

note

X_D

Y_D

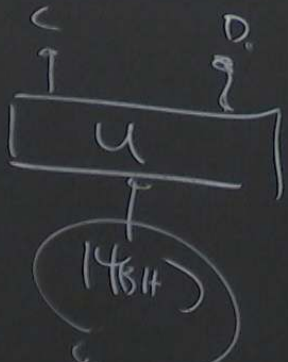
Z_D

$$\langle \psi_{BH(j)} | X_D^* \otimes X_D | \psi_{BH(j)} \rangle = 1 \quad \text{for all } j,$$

$$\text{Tr}(X_D^* \otimes X_D) = 2^h$$

(microstate)

irreversible for almost all $|\psi_{BH}\rangle$ (Morolf-Polchinski)



out mode
 X_D
 Y_D
 Z_D

in mode
 X_D
 Y_D
 Z_D

or $X_{D(j)}$

$$\langle X_D^* \otimes X_D \rangle = \langle Y_D^* \otimes Y_D \rangle = \langle Z_D^* \otimes Z_D \rangle$$

$$\langle \psi_{BH(j)} | X_D^* \otimes X_D | \psi_{BH(j)} \rangle = 1$$

$$\text{Tr}(X_D^* \otimes X_D) = 2^h$$

2^h
 $|\psi_{BH(j)}\rangle$
 $j=1, \dots, 2^h$

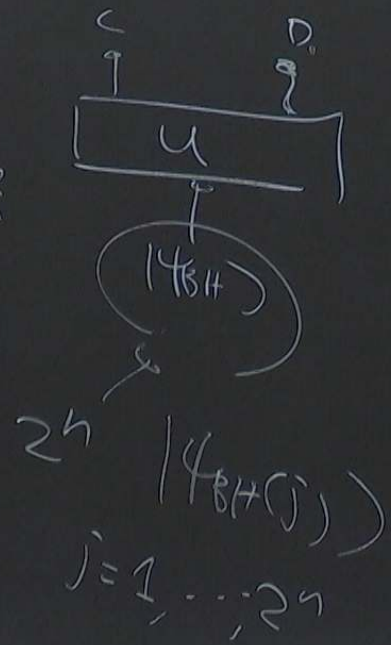
d BH

$\bar{D} = R_0$?

Firewall puzzle for typical state (young B)
(microstate)

\exists Firewall for almost all $|4BH\rangle$ (Moro)

Firewall
or site-dep?



\bar{D}
outside

X_D
 Y_D
 Z_D

node

X_D
 Y_D
 Z_D

or $X_D(j)$

$\langle X_D^x \rangle$

$\langle |4BH(j)\rangle$

$Tr(X_D^x)$