Title: Constraining the spin parameter of near-extremal black holes using LISA

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Abstract: We describe a model that generates first order adiabatic EMRI waveforms for quasi-circular equatorial inspirals of compact objects into rapidly rotating (near-extremal) black holes. Using our model, we show that LISA could measure the spin parameter of near-extremal black holes (for $a\hat{a}_{0.9999}^{30.9999}$) with extraordinary precision, \hat{a}_{14}^{1} 3-4 orders of magnitude better than for moderate spins, $a\hat{a}_{14}^{1}$ 0.9. Such spin measurements would be one of the tightest measurements of an astrophysical parameter within a gravitational wave context. Our results are primarily based off a Fisher matrix analysis, but are verified using both frequentest and Bayesian techniques. We present analytical arguments that explain these high spin precision measurements. The high precision arises from the spin dependence of the radial inspiral evolution, which is dominated by geodesic properties of the secondary orbit, rather than radiation reaction. High precision measurements are only possible if we observe the exponential damping of the signal that is characteristic of the near-horizon regime of near-extremal inspirals. Our results demonstrate that, if such black holes exist, LISA would be able to successfully identify rapidly rotating black holes up to $a=1\hat{a}^{2}$ far past the Thorne limit of a=0.998.



The Roadmap

• **A Review:** Near-Extreme EMRIs

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- Analytic Results: Why expect high precisions?
- Numerical Results: parameter space precision
- **Future:** Conclusions, Future work + Discussion







Spin Parameter Fisher Matrix

spin precision $\approx (\Gamma_{aa})^{-1/2}$, with

$$\Gamma_{aa} \approx \frac{8M}{\tilde{D}^2 S_n(f_{\rm O})} \sum_m \int_{\tilde{t}_0}^{\tilde{t}_{\rm O}} {\rm d}\tilde{t} \, \dot{\tilde{E}}_m^{\infty} \, (\tilde{\Omega}\tilde{t})^2 \, \left(1 + \frac{3}{2}\sqrt{\tilde{r}}\partial_a \tilde{r}\right)^2$$

100% Spin Parameter Fisher Matrix spin precision $\approx (\Gamma_{aa})^{-1/2}$, with $\Gamma_{aa} \approx \frac{8M}{\tilde{D}^2 S_n(f_0)} \sum_{m} \int_{\tilde{t}_0}^{t} Cut d\tilde{t} \tilde{E}_m^{\infty}(\tilde{\Omega}\tilde{t})^2 \left(1 + \frac{3}{2}\sqrt{\tilde{r}\partial_a \tilde{r}}\right)^2$ Spin Dependence #No. Cycles **Outgoing Flux Radial Trajectory** (squared)



Inspiral + Dampening

Light source: $(a, \mu, M) = (0.999 \ 999, 10M_{\odot}, 2 \cdot 10^6 M_{\odot})$

SNR ~ 20



100%

►





Verification - Tight Precision



100%

A natural extension...



Further extensions...

- Multiple (analytical) parameter analysis.
- Extend the parameter space.

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• Systematic (faithfulness) waveform study.



