

Title: Choreographing Quantum Spin Dynamics with Light

Speakers: Monika Schleier-Smith

Series: Colloquium

Date: May 12, 2021 - 2:00 PM

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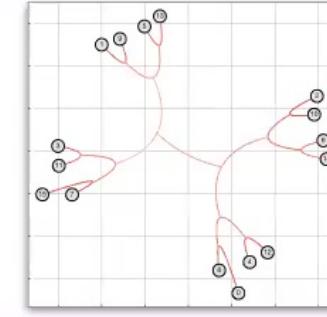
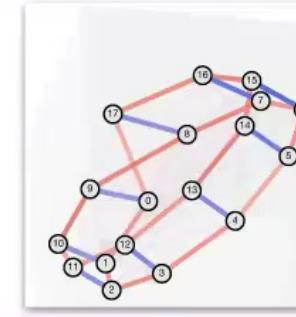
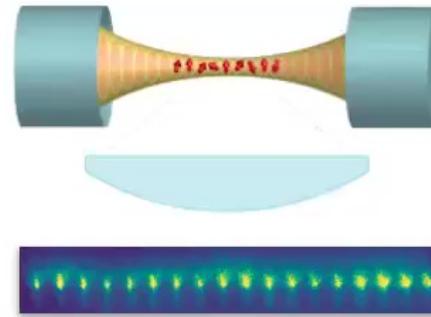
Abstract: The power of quantum information lies in its capacity to be non-local, encoded in correlations among entangled particles. Yet our ability to produce, understand, and exploit such correlations is hampered by the fact that the interactions between particles are ordinarily local. I will report on experiments in which we use light to engineer non-local interactions among cold atoms, with photons acting as messengers conveying information between them. We program the spin-spin couplings in an array of atomic ensembles by tailoring the frequency spectrum of an optical control field. We harness this programmability to access interaction graphs conducive to frustration and to explore quantum spin dynamics in exotic geometries and topologies. More broadly, advances in optical control of interactions open new opportunities in areas ranging from quantum technologies to fundamental physics. I will touch on implications for quantum-enhanced sensing, combinatorial optimization, and simulating quantum gravity.

Choreographing Quantum Spin Dynamics with Light

Monika Schleier-Smith

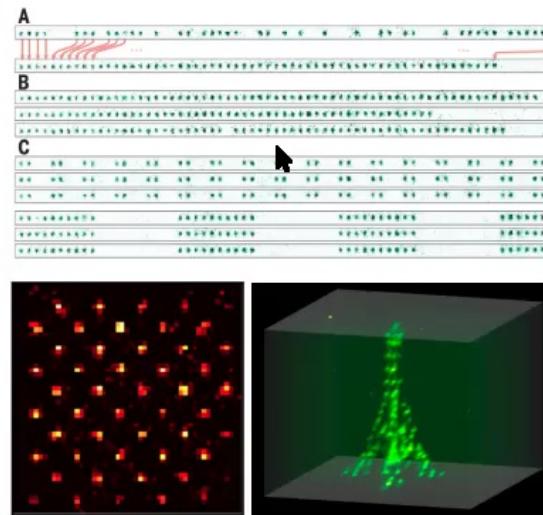
May 12, 2021

Avikar Periwal
Eric Cooper
Philipp Kunkel
Emily Davis
Greg Bentsen

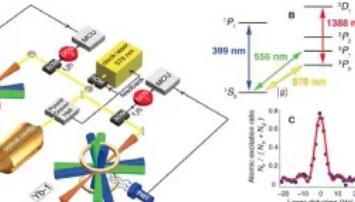


Quantum Engineering with Cold Atoms

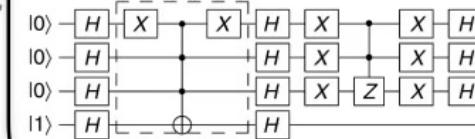
Single-atom control & detection + scalability



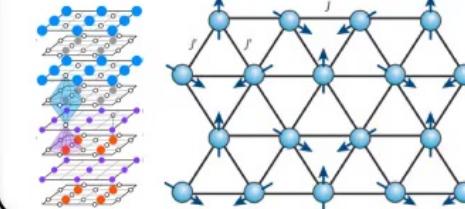
Ultra-stable Clocks



Computation?

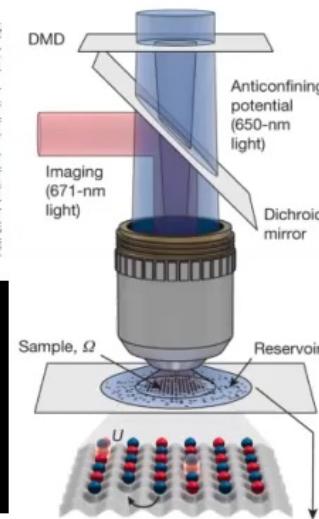
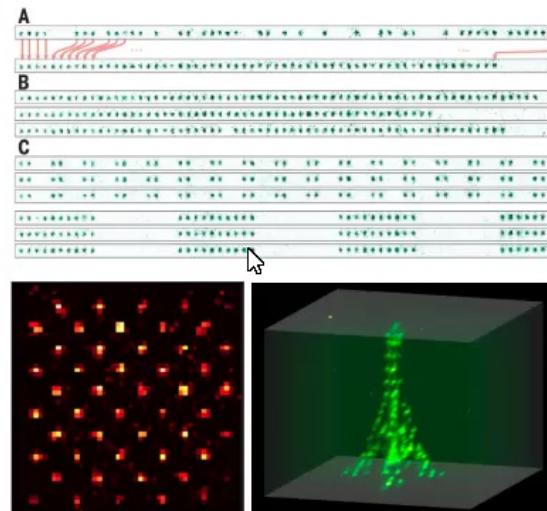


Analog Simulation

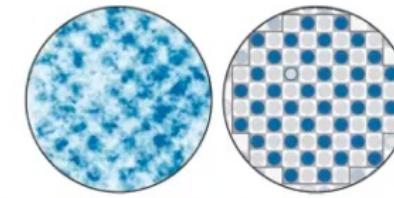


Quantum Engineering with Cold Atoms

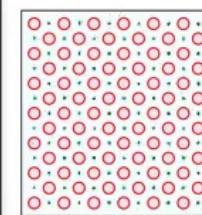
Single-atom control & detection + scalability



Interactions & Entanglement



Contact interactions in lattice



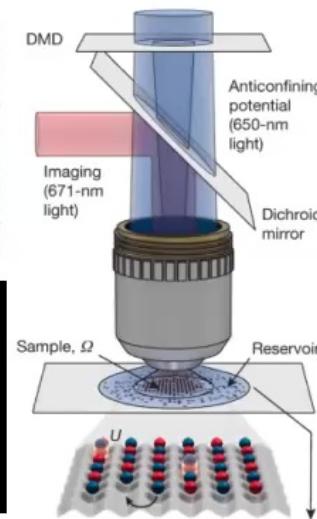
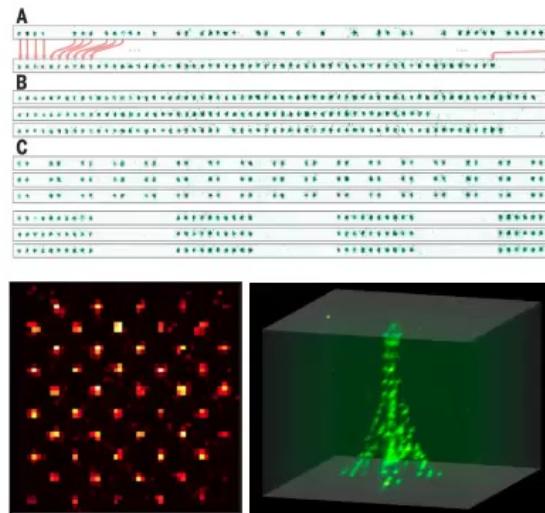
$$|1010\cdots\rangle + e^{iN\delta_p t/2} |0101\cdots\rangle$$

Below this, a series of alternating black and blue vertical bars represents Rydberg atoms in optical tweezers. An arrow points upwards from the center of a black bar to a blue bar, labeled δ_p , indicating a transition between states.

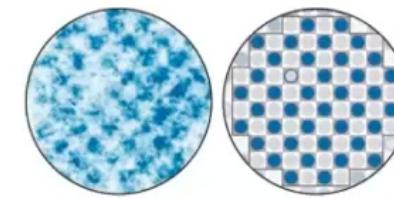
Rydberg atoms in optical tweezers

Quantum Engineering with Cold Atoms

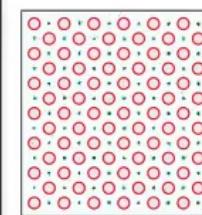
Single-atom control & detection + scalability



Interactions & Entanglement



Contact interactions in lattice



$$|1010\cdots\rangle + e^{iN\delta_p t/2} |0101\cdots\rangle$$

$$|0\rangle$$

Rydberg atoms in optical tweezers

Limitation: connectivity of interactions — atoms interact only with neighbors

Connectivity Matters

A *classical* example...

The Internet



Connectivity Matters

A classical example...



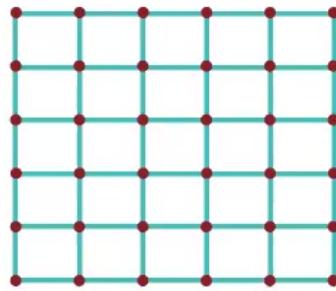
Before,
what mattered was
physical distance.

Now,
what matters is
network distance.

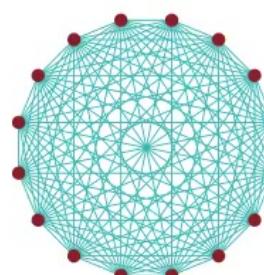
Connectivity governs the flow of information.

Connectivity in Quantum Systems

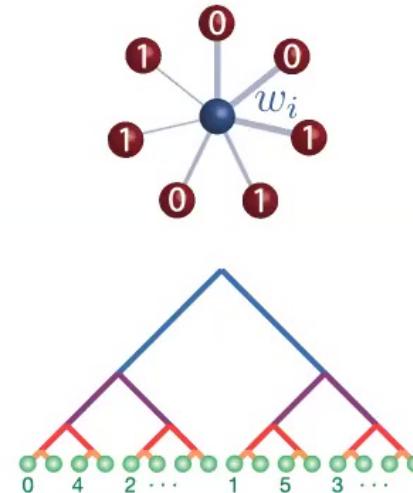
Nearest-Neighbor



All-to-All



Other graphs?



Cluster state:

Resource for universal quantum computation

Squeezed state:

Resource for enhanced sensing & metrology

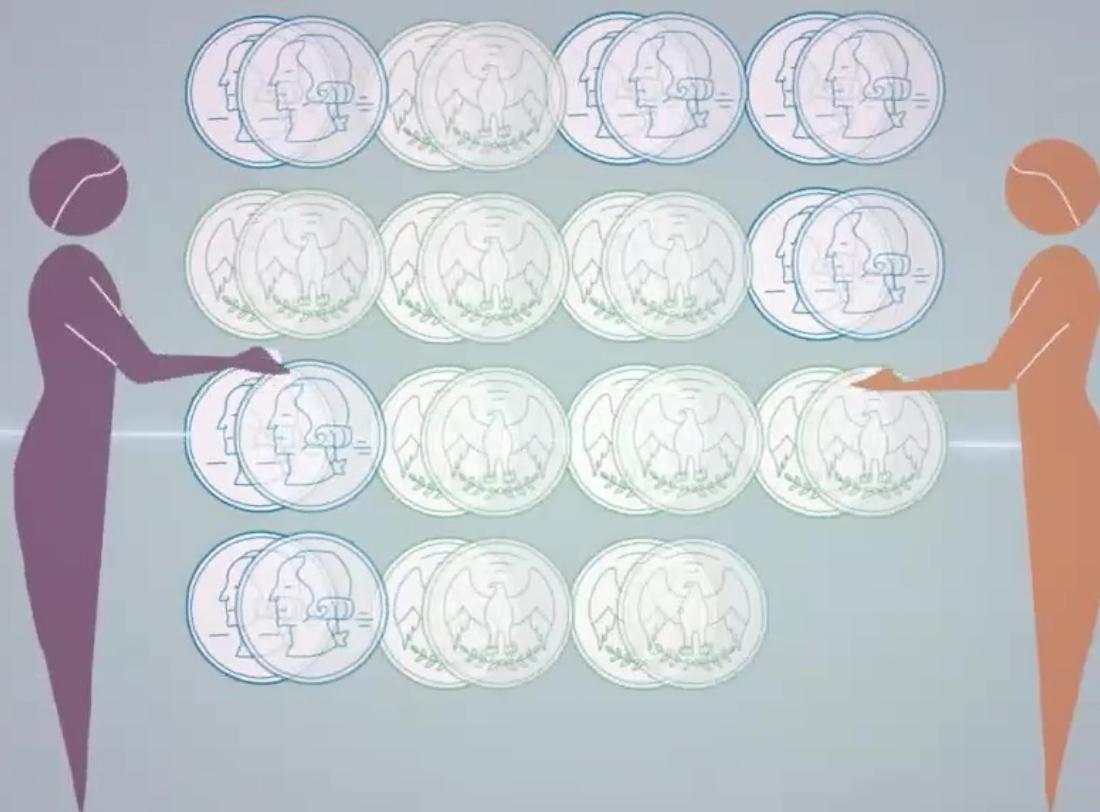
New opportunities?

Structure of interactions governs form of **entanglement**

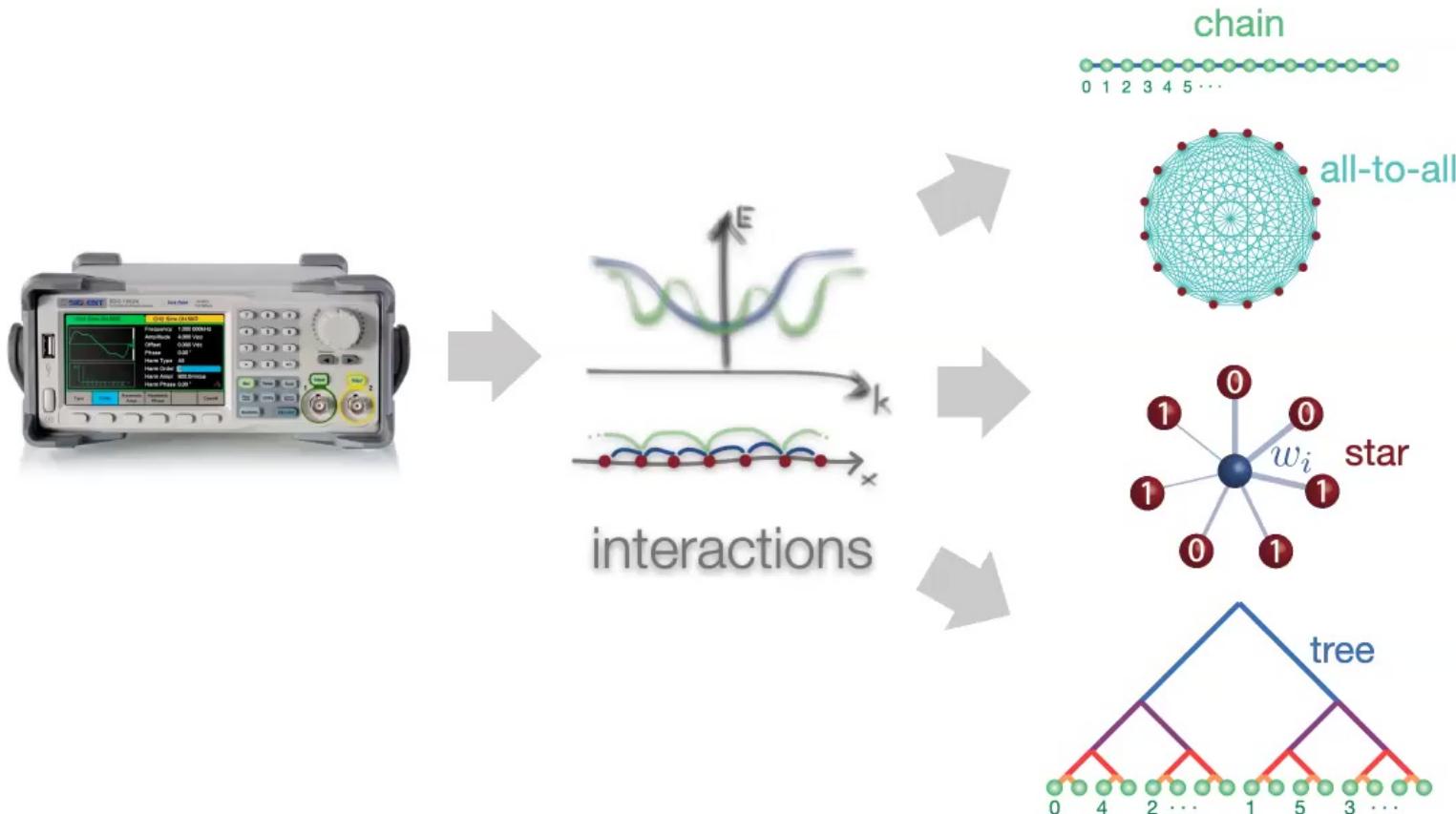
What is Entanglement?



What is Entanglement?

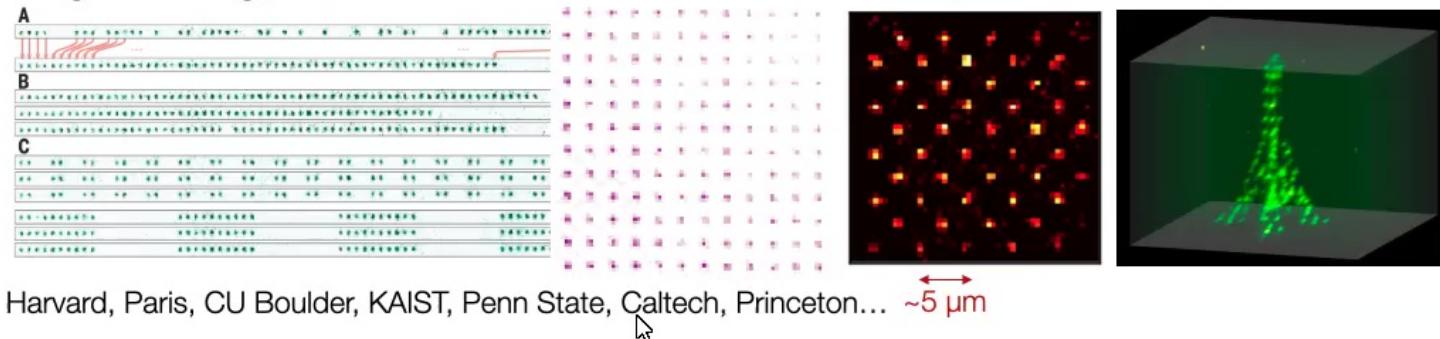


Vision: Programmable Interactions

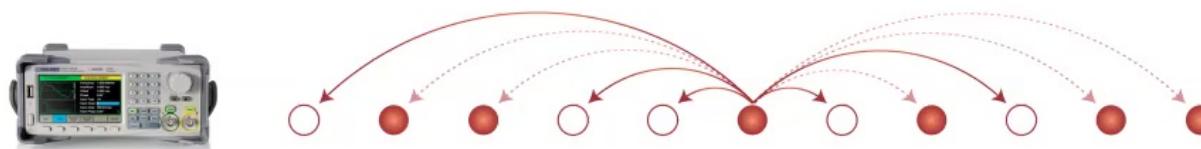


Programmable Quantum Systems

Programming *positions* of individual atoms with optical tweezers



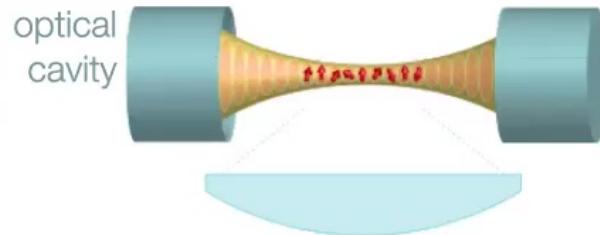
Programming the *interactions* between atoms with light?



Optically Controlled Interactions

Engineering spin-spin interactions among laser-cooled atoms:

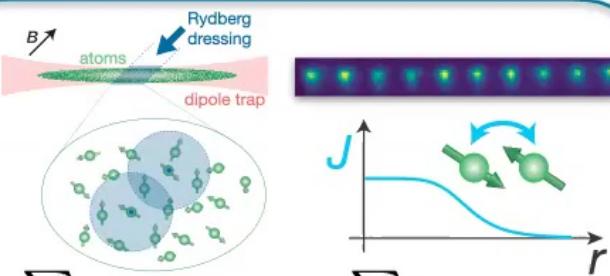
Photon-mediated interactions



$$H = \sum_{i,j} [J_{ij}^{xy} (s_i^x s_j^x + s_i^y s_j^y) + J_{ij}^z s_i^z s_j^z]$$

Highly non-local

Rydberg interactions

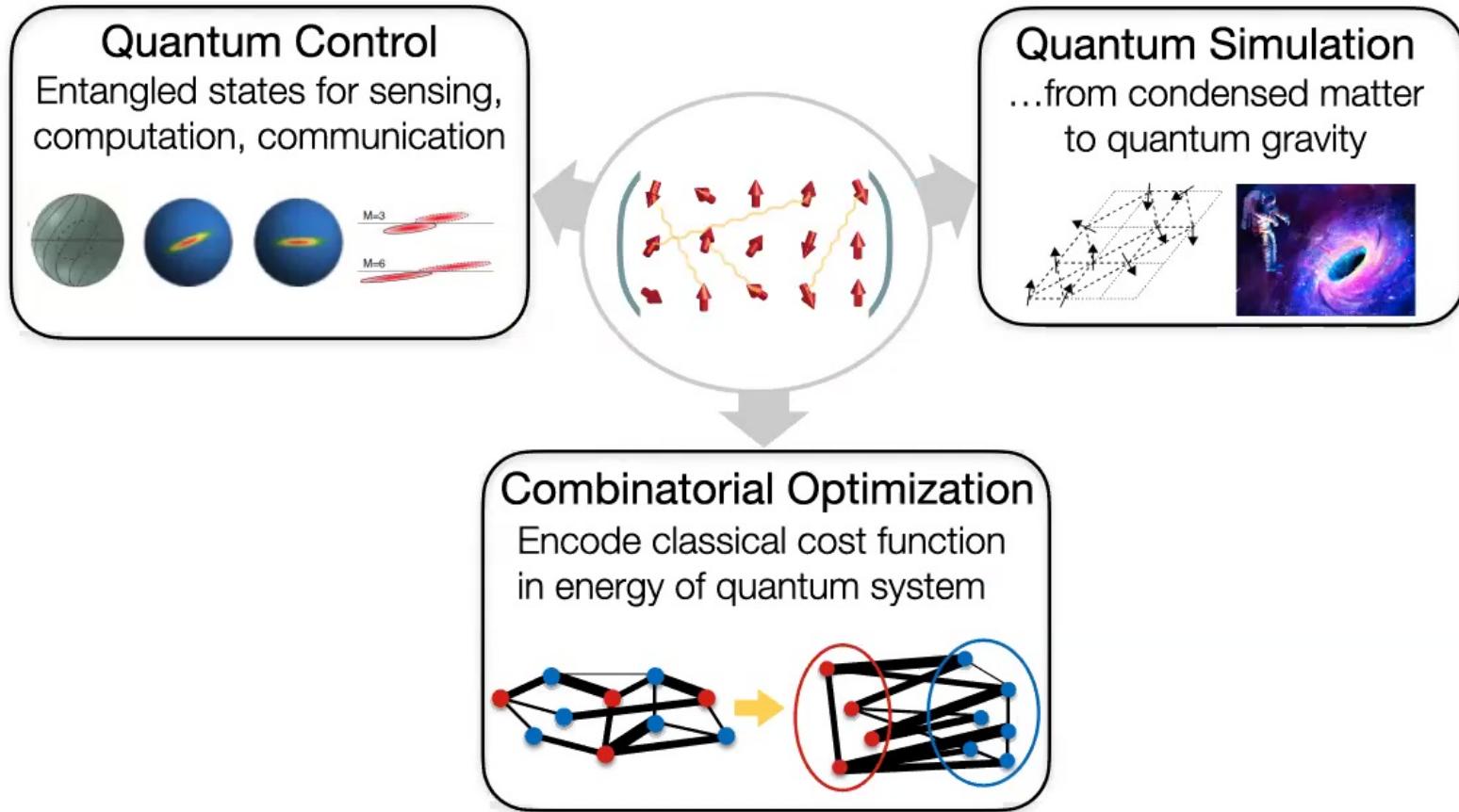


$$H = \sum_{i,j} J(|i-j|) \sigma_i^z \sigma_j^z + \sum_i h_i \sigma_i^x$$

Borish, Markovic, Hines, Rajagopal, & MS-S,
PRL **124**, 063601 (2020).

Long-range but local

Motivation



Optimization

D-WAVE
The Quantum Computing Company™

Optimization/
Decision
Support

Constraint
Satisfaction

Sampling

Deep
Learning

Scheduling

Logistics

Graph
Coloring

Factoring

Monte
Carlo

Financial
Modeling

Structured
Prediction

Boltzmann
Machines

Planning

Supply Chain & Logistics

IBM

Finding the best solutions for ultra-efficient logistics and global supply chains, such as optimizing fleet operations for deliveries during the holiday season.

- *Is there a quantum speed-up? Role of entanglement?*
- *How to map real-world problem to physical model?*

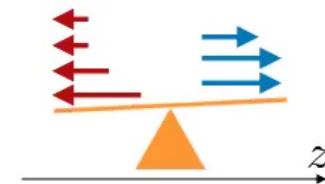
Optimization Example

Number partitioning problem (NP complete):

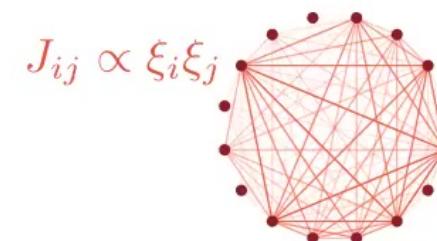
Given n objects with weights ξ_i , does there exist a partition into two equally weighted groups? · · · · · · ·



Physicist's approach: define imbalance $\mathcal{F}_z = \sum_i \xi_i S_i^z$



...and minimize $\mathcal{F}_z^2 \propto \sum_{i,j} J_{ij} S_i^z S_j^z$

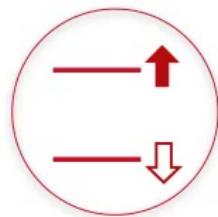


Tools for exploring:

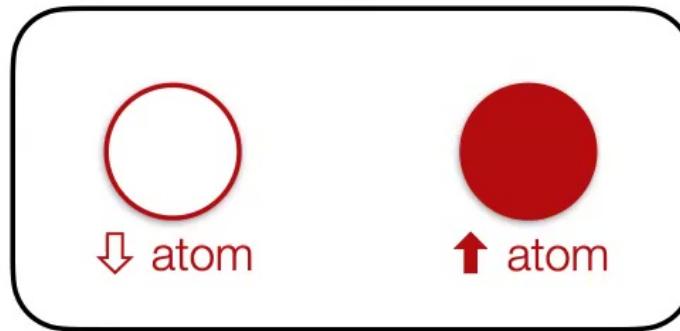
Spins + non-local interactions + programmability

Photon-Mediated Interactions

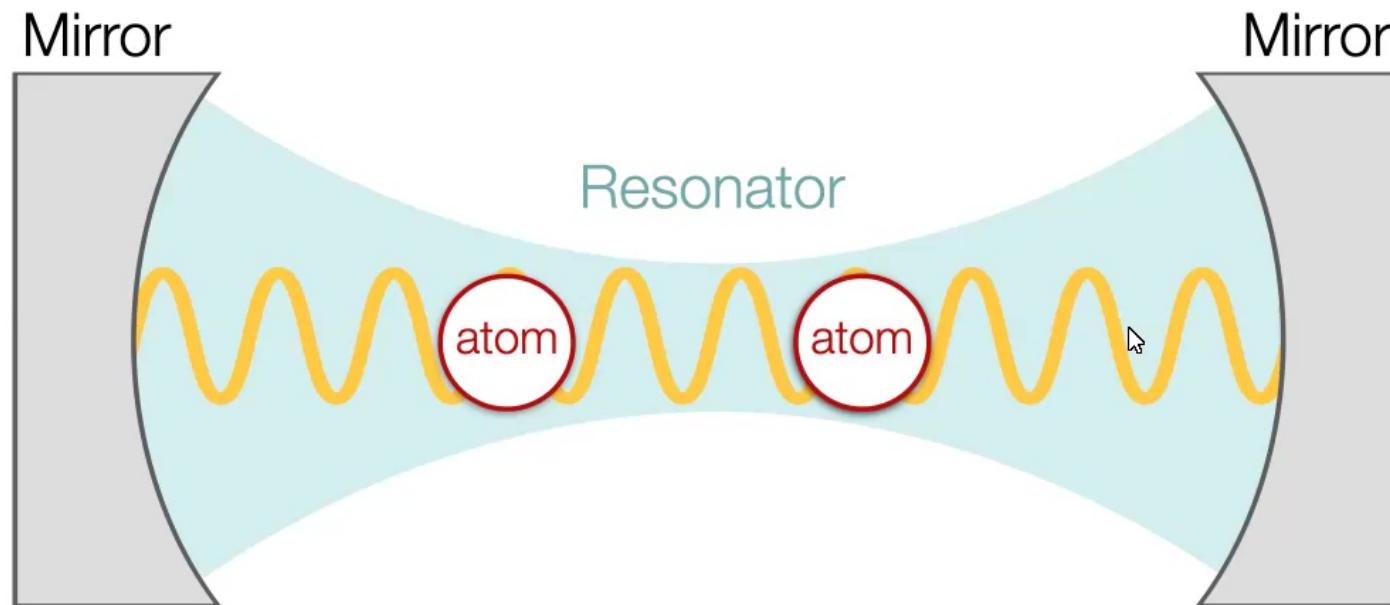
Each atom as a spin with two states: [$\bullet = \uparrow$] or [$\circ = \downarrow$]



Spin-exchange interaction

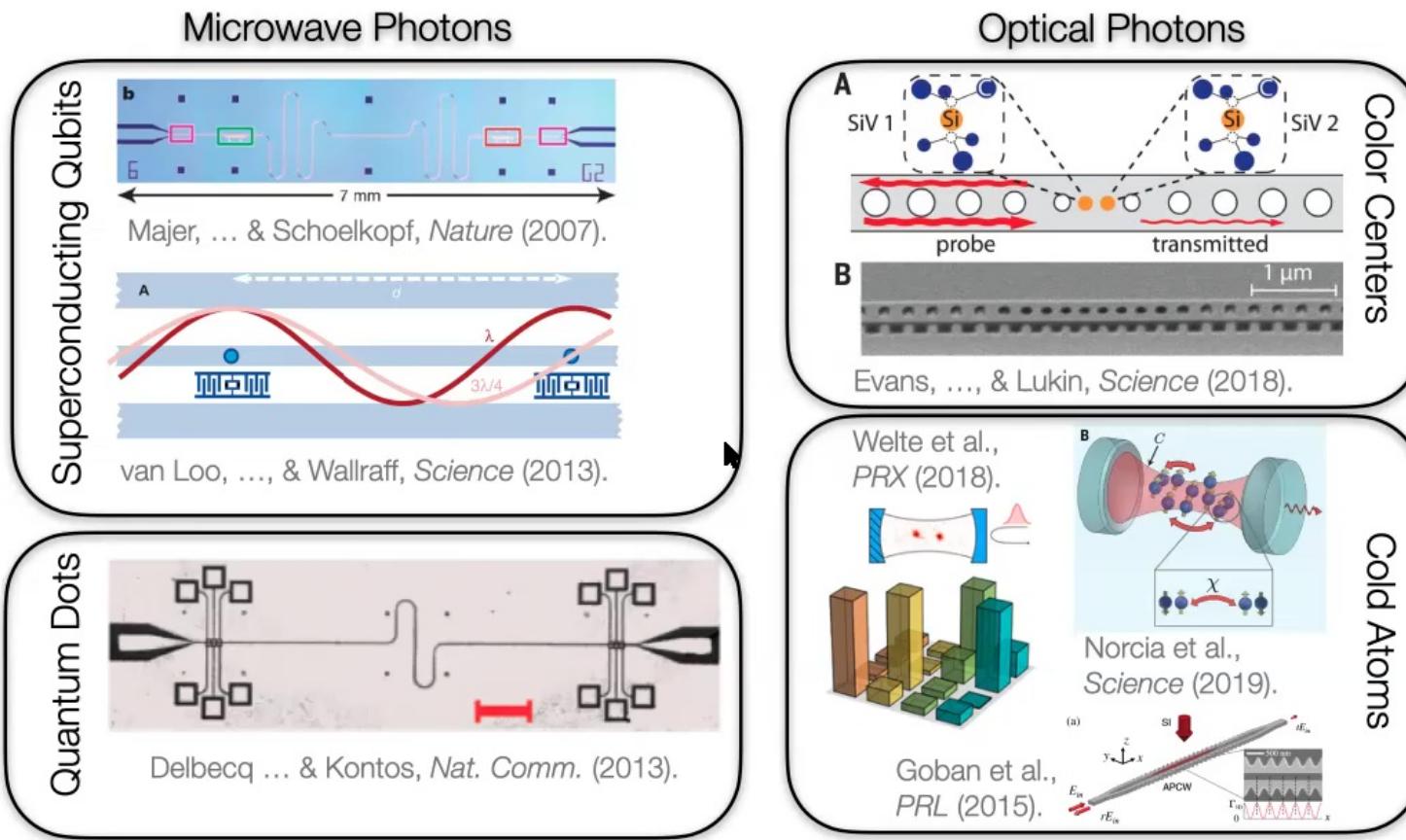


Corralling Photons

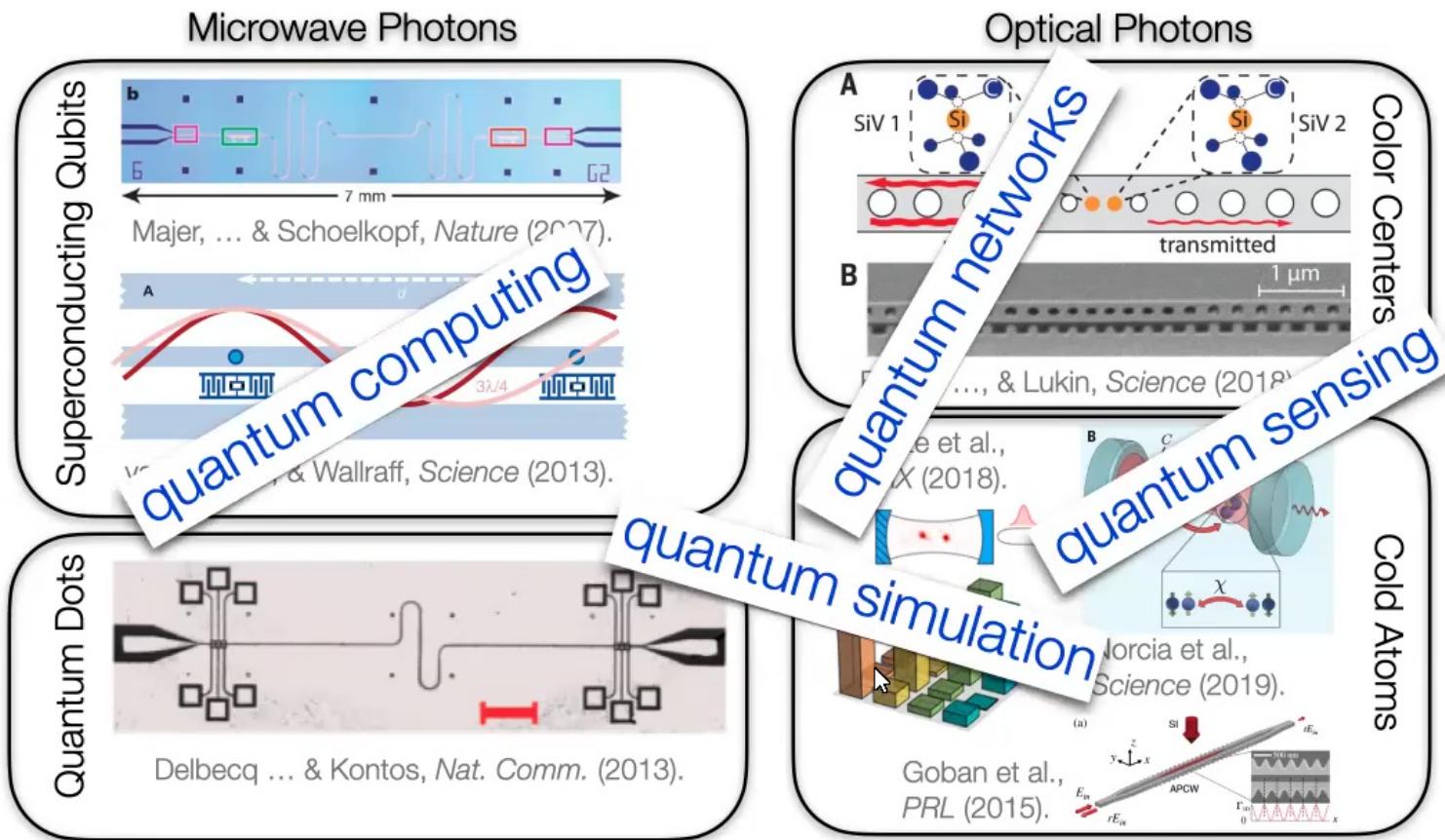


Constructive interference enhances probability
of emitted photon interacting with another atom

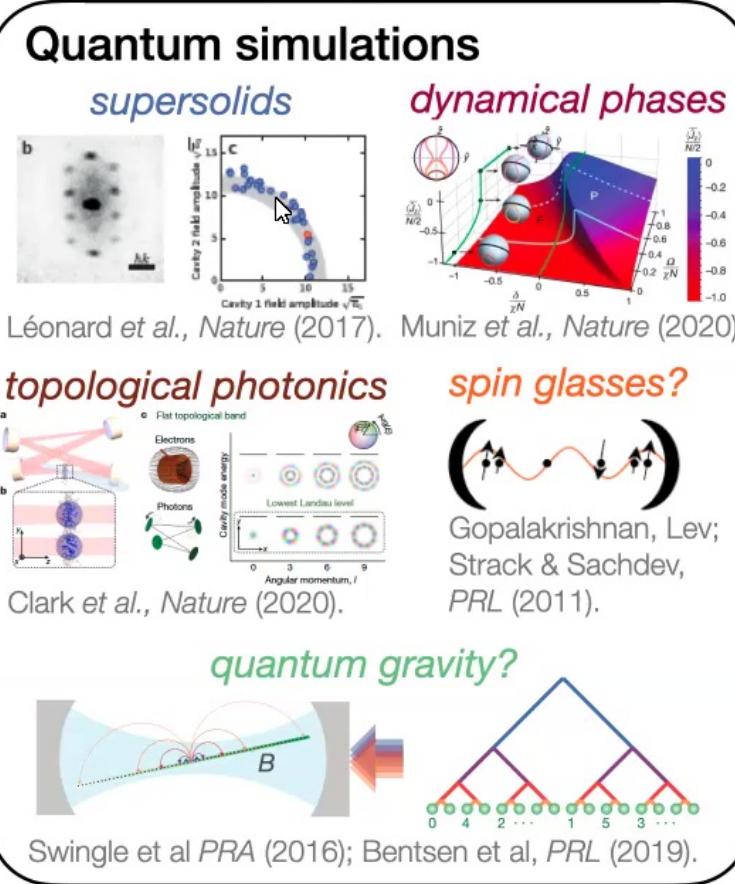
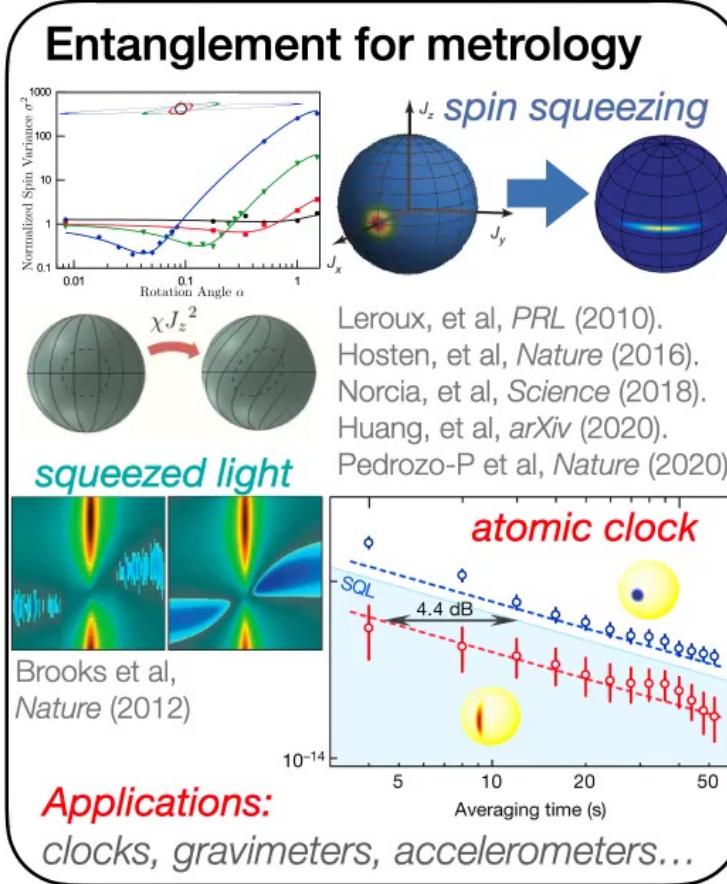
Photon-Mediated Interactions



Photon-Mediated Interactions



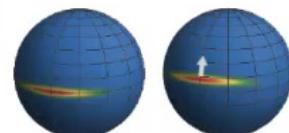
Cavity QED with Cold Atoms



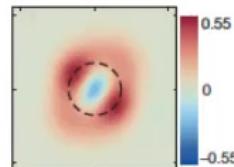
Quantum Control vs Quantum Simulation

Quantum Control

Known resources for sensing,
computation, communication



Hosten et al.
Nature (2016).



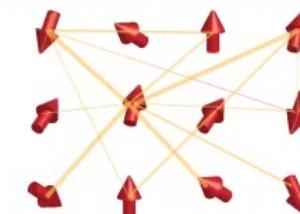
McConnell et al.
Nature (2015).

>1000-atom entanglement!

...but conceptually simple states

Quantum Simulation

Generic states of interacting
many-body systems

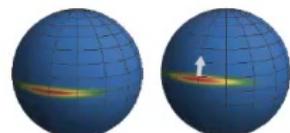


Too complex to calculate!

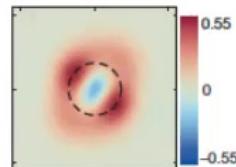
Quantum Control vs Quantum Simulation

Quantum Control

Known resources for sensing,
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Nature (2016).



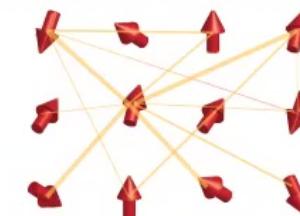
McConnell et al.
Nature (2015).

>1000-atom entanglement!

...but conceptually simple states

Quantum Simulation

Generic states of interacting
many-body systems



Too complex to calculate!
...hopeless to try to visualize?

Holographic Duality

Quantum many-body system,
 d spatial dimensions



*Entanglement of boundary
encoded in
geometry of bulk*

Spacetime geometry (gravity),
 $d+1$ spatial dimensions



- Can we probe the emergent geometry experimentally?
...in simple model systems? ...in cases where not *a priori* known?
- Can models with a **simple holographic description** provide a starting point for understanding & visualizing a wider range of quantum many-body systems?

Quantum Information Scrambling

Black hole as a quantum system where information spreads **exponentially fast** across all degrees of freedom



Fast scrambling:

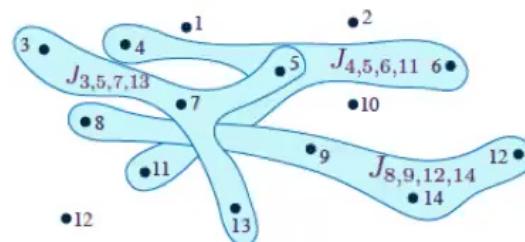
fundamental speed limit in quantum many-body dynamics

Hayden, Preskill, Maldacena, Shenker, Susskind, Stanford ...

Models for Fast Scrambling

Sachdev-Ye-Kitaev (SYK)

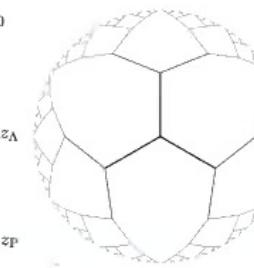
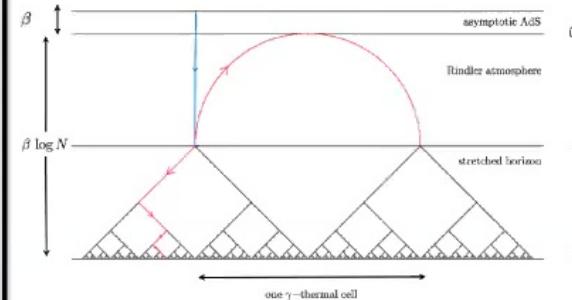
$$H = \frac{1}{(2N)^{3/2}} \sum_{i,j,k,\ell=1}^N J_{ij;k\ell} c_i^\dagger c_j^\dagger c_k c_\ell$$



S. Sachdev, *PRX* (2015).
Kitaev, KITP (2015).

Non-local couplings

Billiards on Expander Graph



Barbon & Magan, *JHEP* (2012) [[arXiv:1204.6435](#)].
Barbon & Magan, *JHEP* (2013) [[arXiv:1306.3873](#)].

Local, but in *ultrametric* geometry

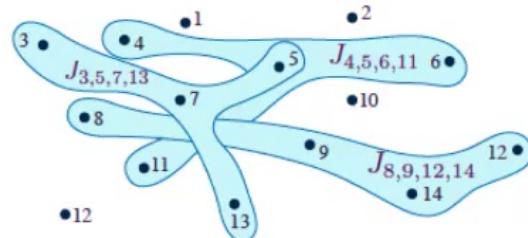


Non-Local Interactions

Realizing models where particles hop *non-locally*?

Fermions

$$H = \frac{1}{(2N)^{3/2}} \sum_{i,j,k,\ell=1}^N J_{ij;k\ell} c_i^\dagger c_j^\dagger c_k c_\ell$$

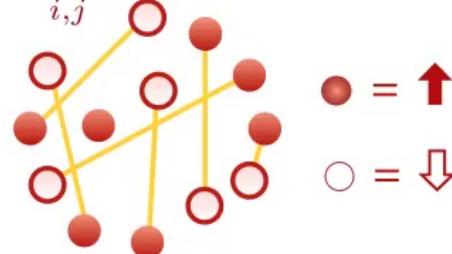


Black-hole duality:

S. Sachdev, PRX (2015).
Kitaev, KITP (2015).

Spin excitations?

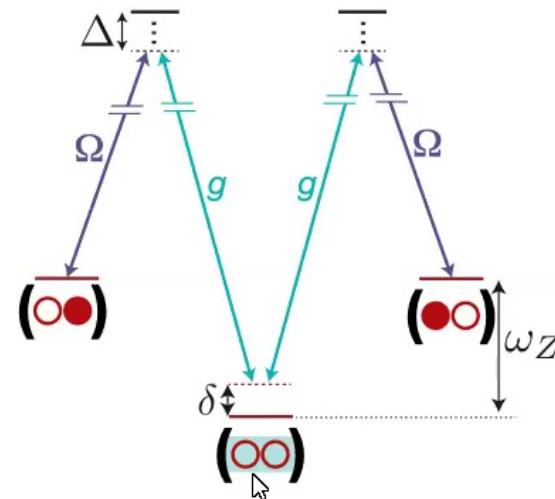
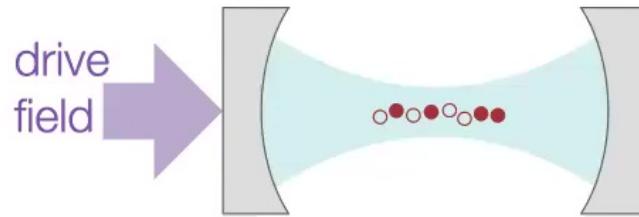
$$H \propto \sum_{i,j} J_{ij} \sigma_+^i \sigma_-^j$$



Natural approach:
particles = spin excitations,
hopping mediated by light

Photon-Mediated Interactions

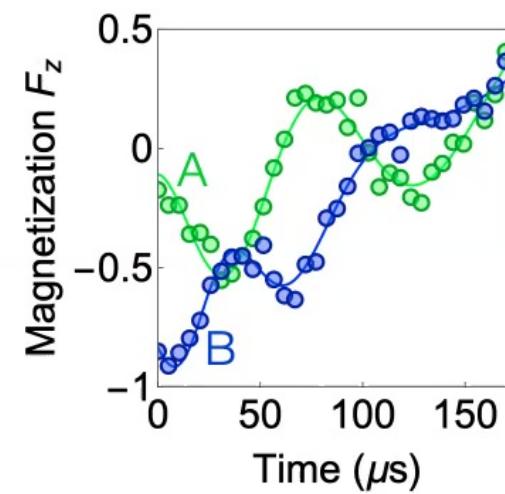
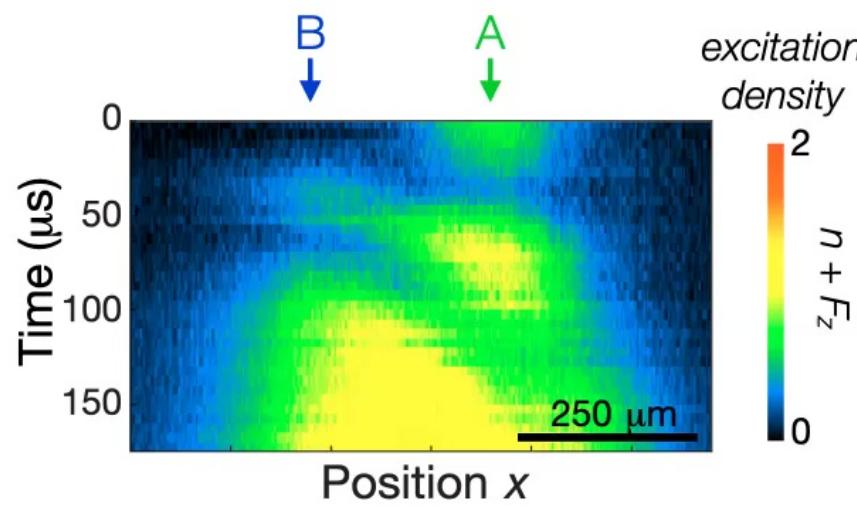
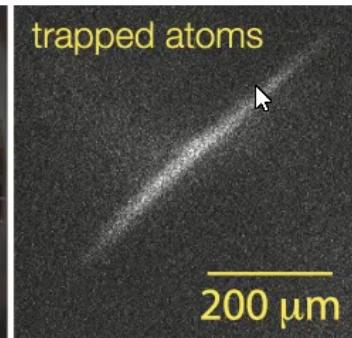
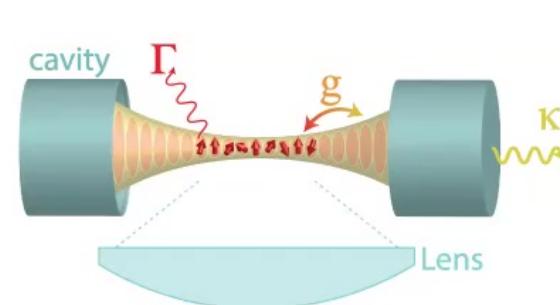
Spin-1/2 case: each atom has two ground states, [$\bullet = \uparrow$] and [$\circ = \downarrow$]



Spin-exchange interaction $H = \sum_{i,j} J_{ij} s_i^+ s_j^-$
controlled by optical drive field

Spin Excitations Hopping

E. Davis, G. Bentsen, L. Homeier, T. Li,
& M. S-S. *PRL* **122**, 010405 (2019).



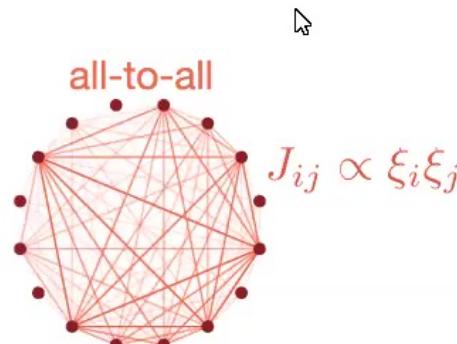
Programmable Interactions?



$$H = \sum_{i,j} [J_{ij}^{xy} (s_i^+ s_j^- + s_i^- s_j^+) + J_{ij}^z s_i^z s_j^z]$$

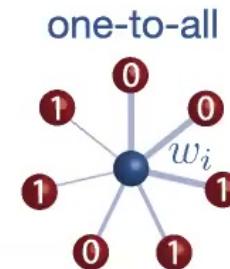
Knobs we would like:

- Spatial structure



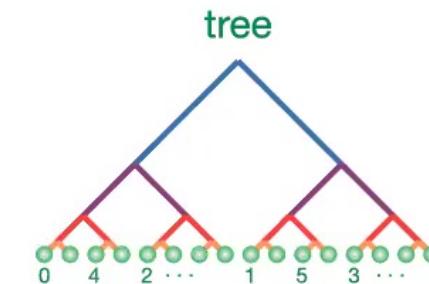
Bentsen, Potirniche, Bulchandani, Scaffidi, Cao, Qi, MS-S & Altman, *PRX* **9**, 041011 (2019).

slow thermalization



Anikeeva, Markovic, Borish, Hines, Rajagopal, Cooper, Periwal, Safavi-Naeini, Davis & MS-S, *arXiv:2009.05549*.

optimization



Bentsen, Hashizume, Buyskikh, Davis, Daley, Gubser, & MS-S, *PRL* **123**, 130601 (2019).

fast scrambling

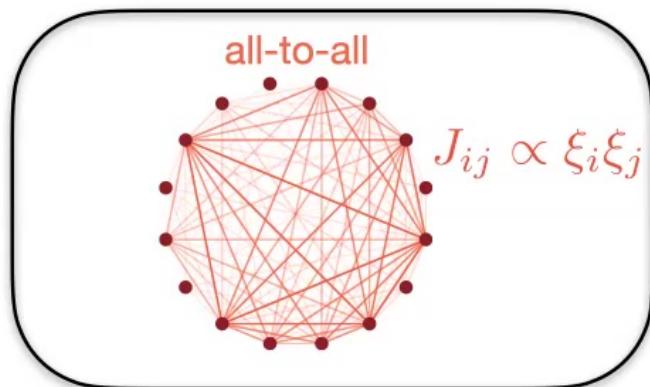
Programmable Interactions?



$$H = \sum_{i,j} [J_{ij}^{xy} (s_i^x s_j^x + s_i^y s_j^y) + J_{ij}^z s_i^z s_j^z]$$

Knobs we would like:

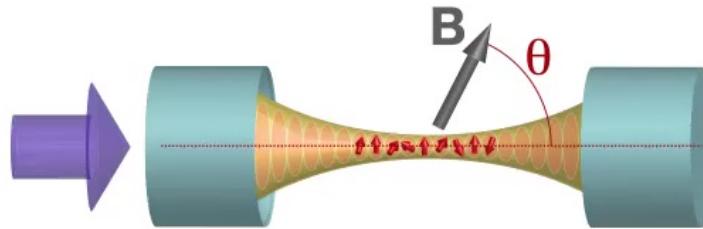
- Spatial structure
- Form of couplings: flip-flop (XY) vs Ising
- Sign of interaction (ferro- vs antiferromagnetic)



Tunable Heisenberg Interactions

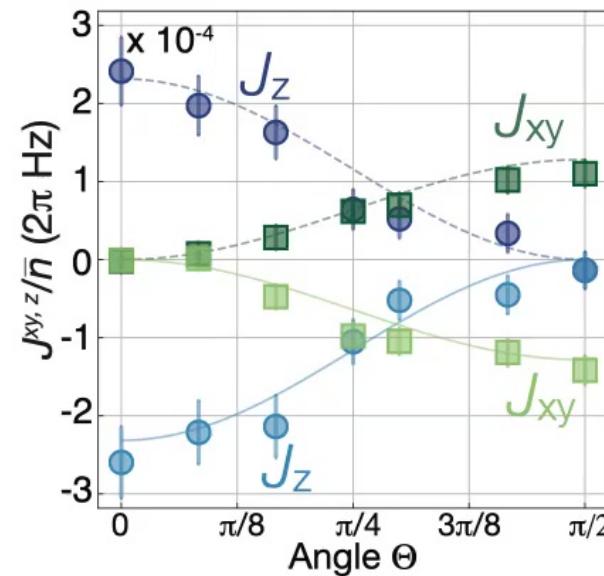
E. Davis, A. Periwal, E. Cooper,
G. Bentsen, S. Evered, K. Van Kirk
& MS-S, *PRL* **125** 060402 (2020).

$$H_I = J_{xy} (\mathcal{F}_x^2 + \mathcal{F}_y^2) + J_z \mathcal{F}_z^2$$



- **Form of spin-spin couplings**
continuously tunable via orientation
of a magnetic field
- **Sign of interaction** controlled by
laser frequency

$$\mathcal{F} = \sum_i \xi_i \mathbf{S}_i$$
$$\mathbf{F} = \sum_i \mathbf{S}_i$$



Exploring the Phase Diagram

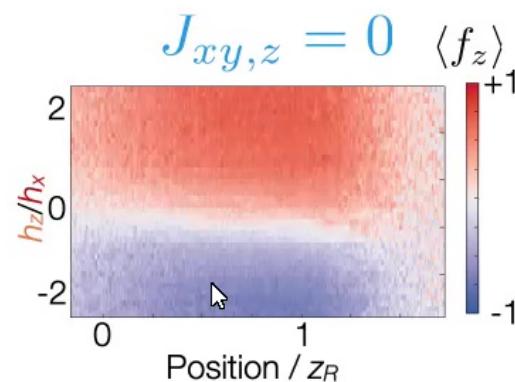
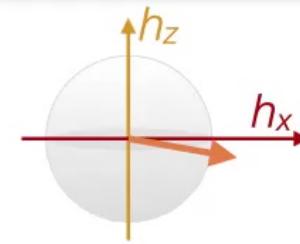
E. Davis, A. Periwal, E. Cooper,
G. Bentsen, S. Evered, K. Van Kirk
& MS-S, *PRL* **125** 060402 (2020).

$$H_I = \textcolor{teal}{J}_{xy} (\mathcal{F}_x^2 + \mathcal{F}_y^2) + \textcolor{teal}{J}_z \mathcal{F}_z^2$$

$$\mathcal{F} = \sum_i \xi_i \mathbf{S}_i$$

Prepare low-energy state by slow quench

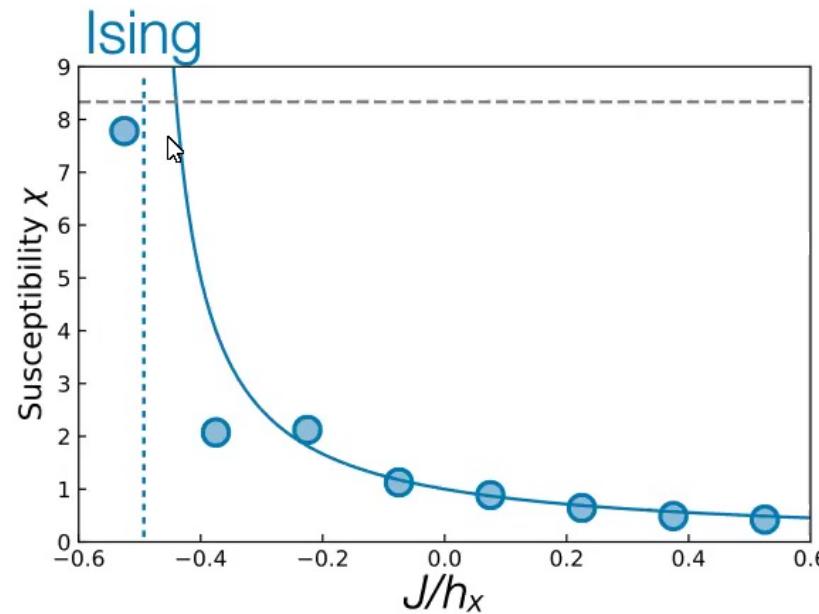
$$H = H_I - h_x F_x - \textcolor{brown}{h}_z F_z$$



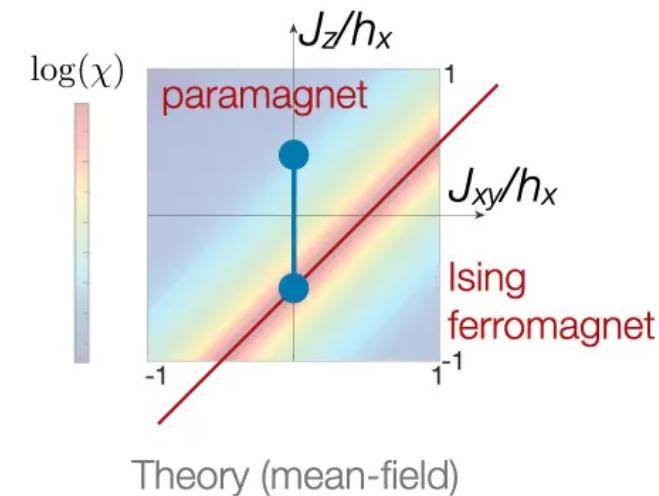
Magnetic Susceptibility

E. Davis, A. Periwal, E. Cooper,
G. Bentsen, S. Evered, K. Van Kirk
& MS-S, *PRL* **125** 060402 (2020).

$$H_I = J_{xy}(\mathcal{F}_x^2 + \mathcal{F}_y^2) + \mathcal{J}_z \mathcal{F}_z^2 + h_x F_x$$



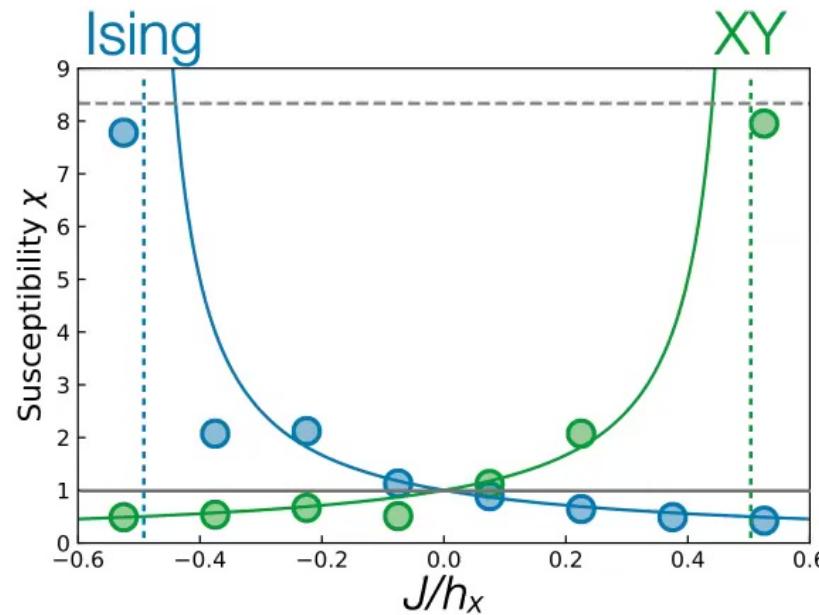
$$\mathcal{F} = \sum_i \xi_i S_i^z$$
$$\mathbf{F} = \sum_i S_i^z$$



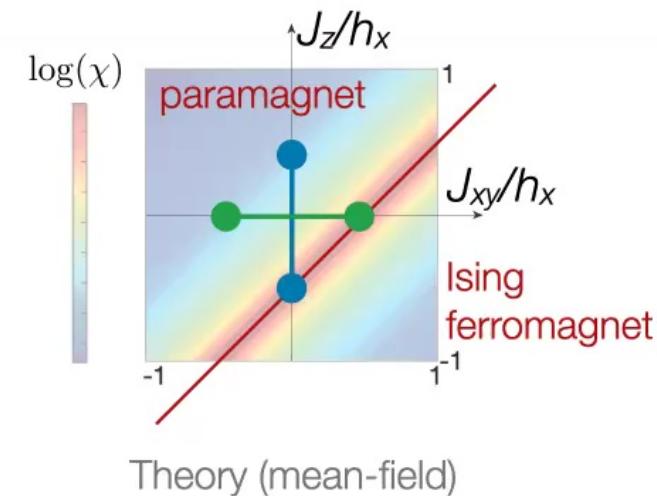
Magnetic Susceptibility

E. Davis, A. Periwal, E. Cooper,
G. Bentsen, S. Evered, K. Van Kirk
& MS-S, *PRL* **125** 060402 (2020).

$$H_I = J_{xy}(\mathcal{F}_x^2 + \mathcal{F}_y^2) + \mathcal{J}_z \mathcal{F}_z^2 + h_x F_x$$



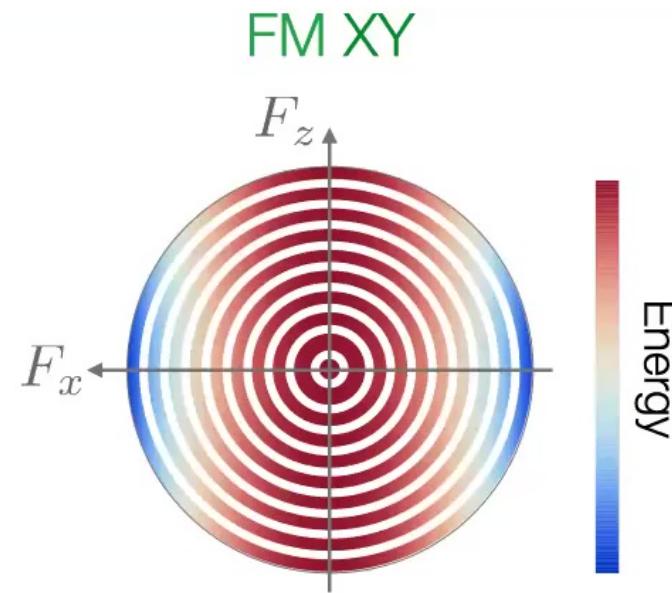
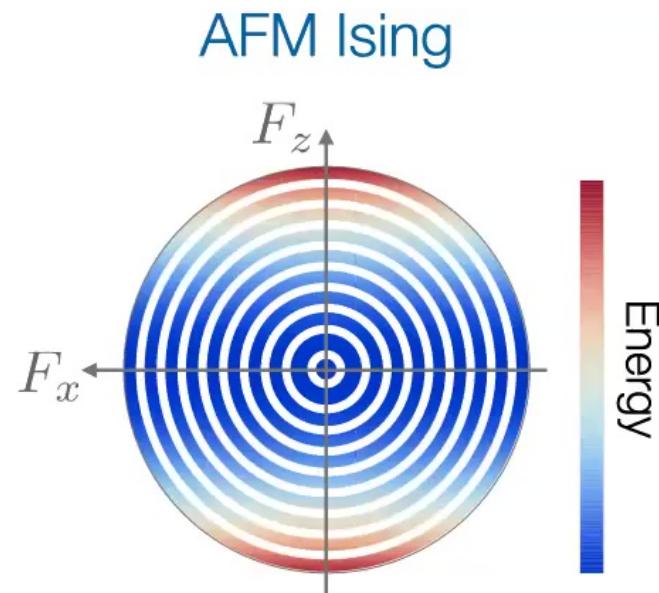
$$\mathcal{F} = \sum_i \xi_i S_i^z$$
$$\mathbf{F} = \sum_i S_i^z$$



Theory (mean-field)

Why the Symmetry?

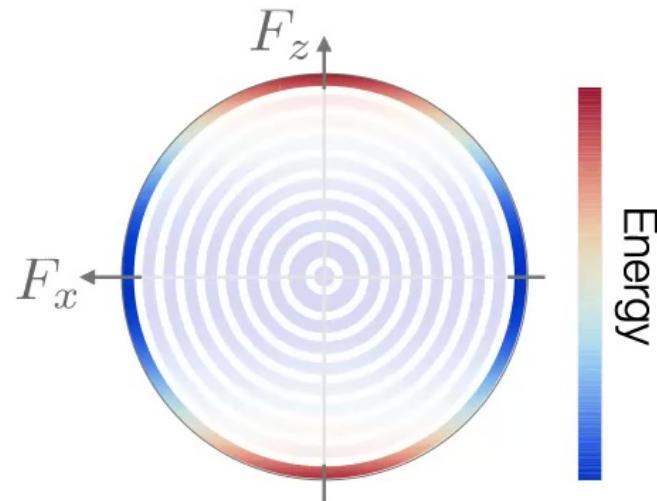
$$F_z^2 = -F_x^2 - F_y^2 + |\mathbf{F}|^2$$



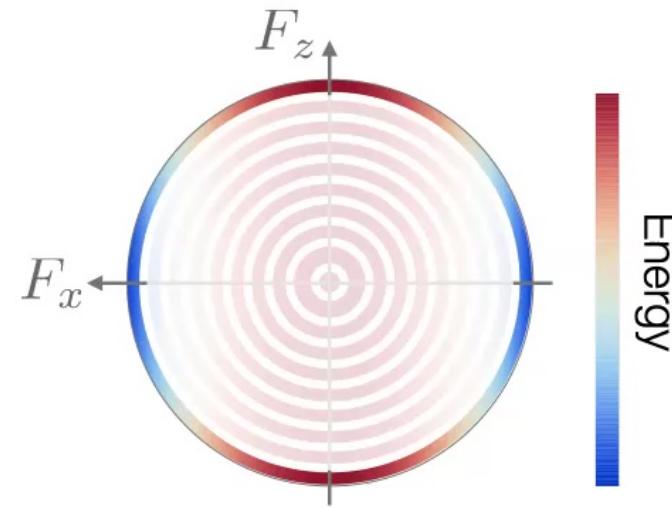
Why the Symmetry?

$$F_z^2 = -F_x^2 - F_y^2 + |\mathbf{F}|^2$$

AFM Ising



FM XY

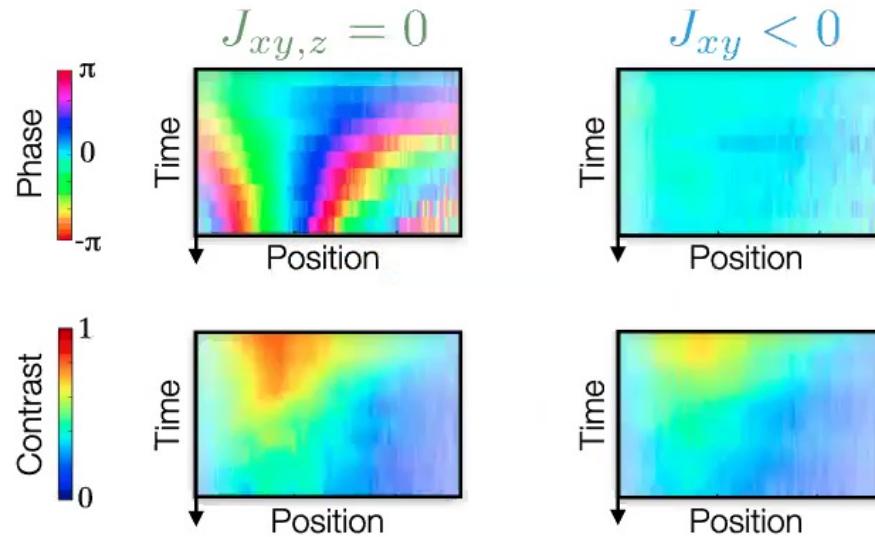


- **Equivalent** if constrained to surface of fixed spin length $|\mathbf{F}|$,

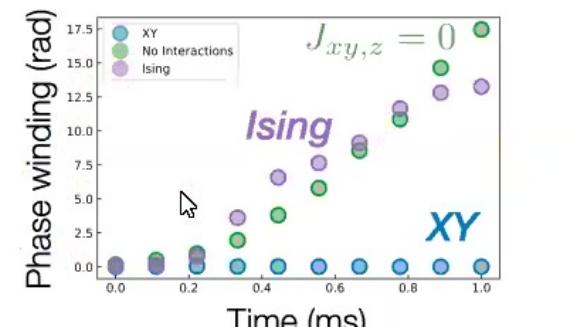
Protection of Spin Coherence

E. Davis, A. Periwal, E. Cooper,
G. Bentsen, S. Evered, K. Van Kirk
& MS-S, *PRL* **125** 060402 (2020).

Dynamical response to inhomogeneous z field:



Ferromagnetic XY interactions protect spin coherence!

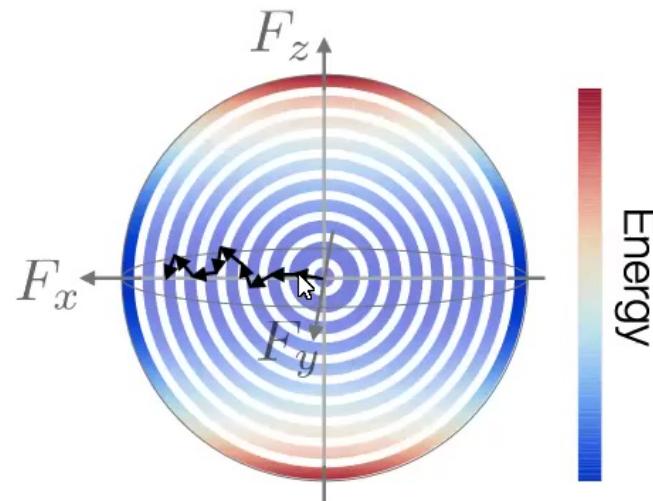


AFM Ising interactions don't.

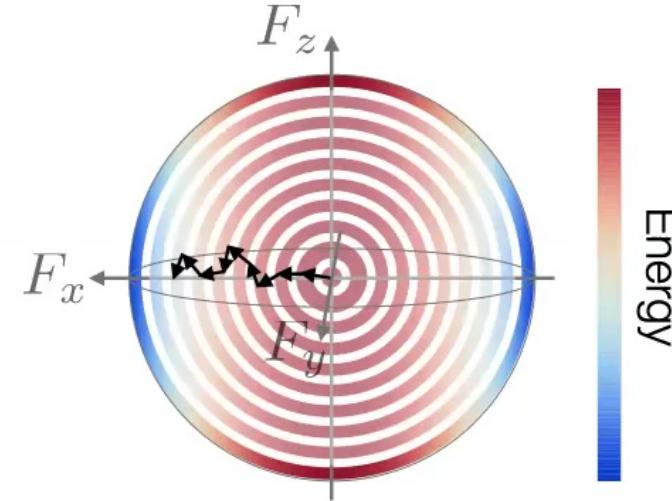
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FM XY

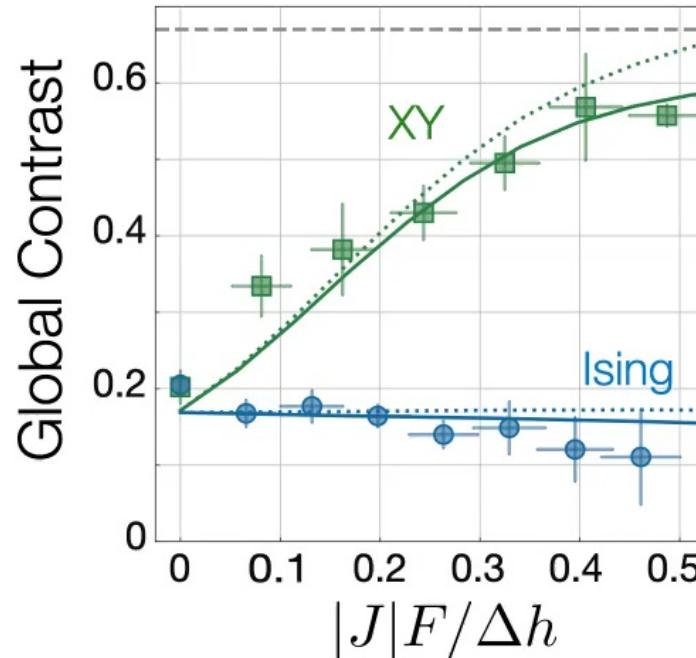


- **Equivalent** if constrained to surface of fixed spin length $|\mathbf{F}|$, i.e., if the N -atom system is behaving as a **single large spin**
- **Difference:** shortening the spin by **dephasing** costs energy for **XY model**

Protection of Spin Coherence

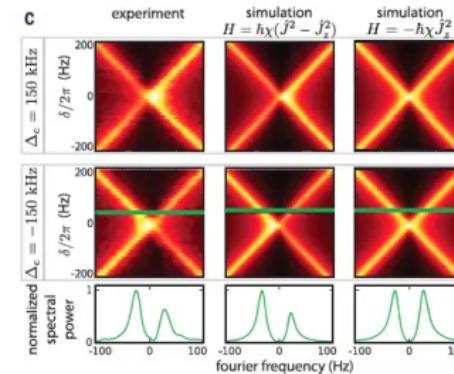
E. Davis, A. Periwal, E. Cooper,
G. Bentsen, S. Evered, K. Van Kirk
& MS-S, *PRL* **125** 060402 (2020).

$$-F_x^2 - F_y^2 = F_z^2 - F(F+1)$$



Dephasing suppressed by energy cost of reducing total spin F

Norcia et al, *Science* (2018):
spectroscopy of energy gap



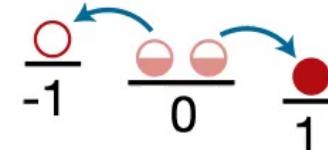
Prospect: enhancing robustness of light-induced entanglement
+ extensions to systems with local (e.g. Rydberg) interactions

Evidence of *Quantum* Dynamics?

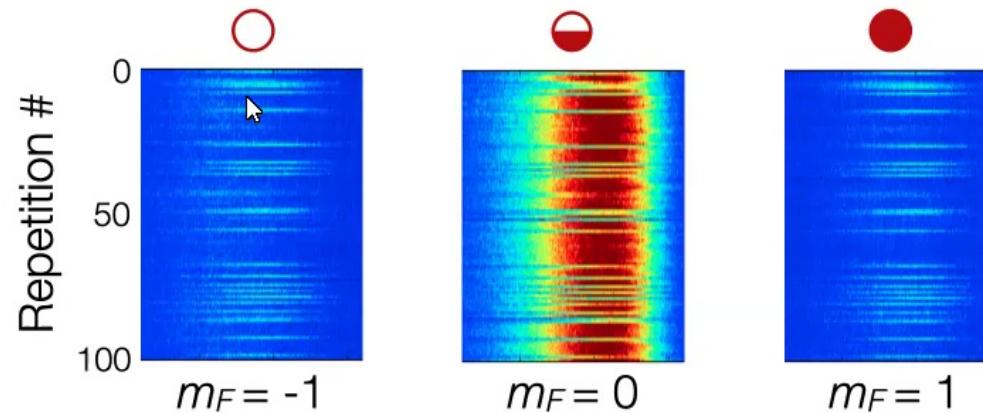
E. Davis, G. Bentsen,
L. Homeier, T. Li, & MS-S,
PRL **122**, 010405 (2019).

Approach: pair creation in a spin-1 system

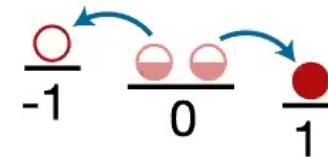
...initialized with all atoms in $m_F = 0$



$$H = \sum_{i,j} J_{ij} F_i^+ F_j^-$$

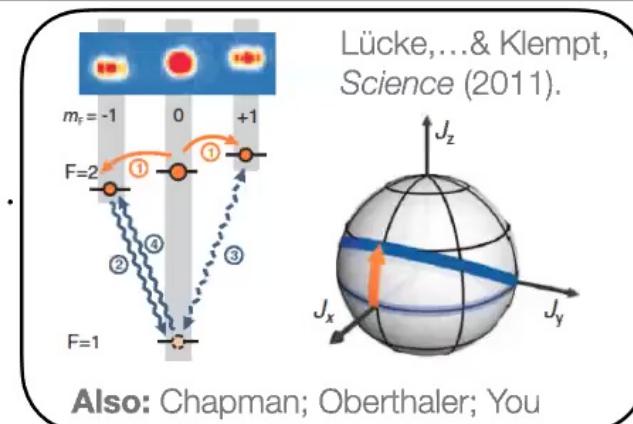


Photon-Mediated Pair Creation



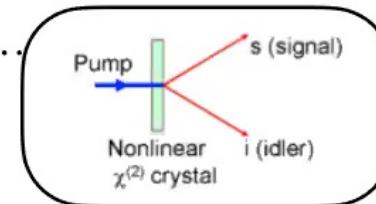
Analogies:

- Collisional spin mixing in
Bose-Einstein condensates
- Spontaneous parametric down-conversion.....



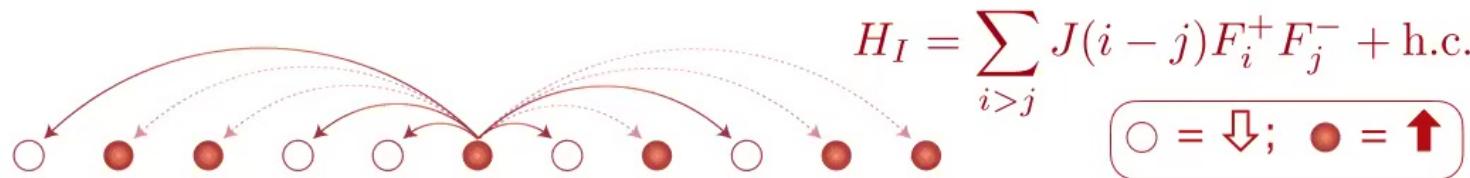
Opportunities:

- Fast generation of **correlated atom pairs** for enhanced quantum sensing
- **Spatially structured** entanglement by optical control

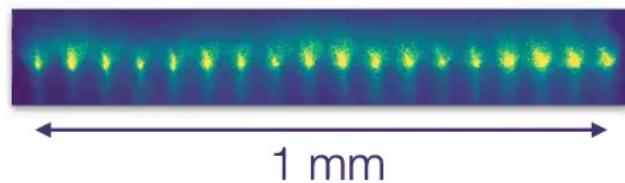


Programmable Interactions?

Photon-mediated interactions for versatile control of spin-spin couplings:



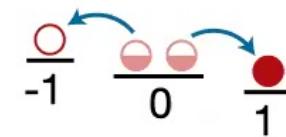
...in an **array of small atomic ensembles**:



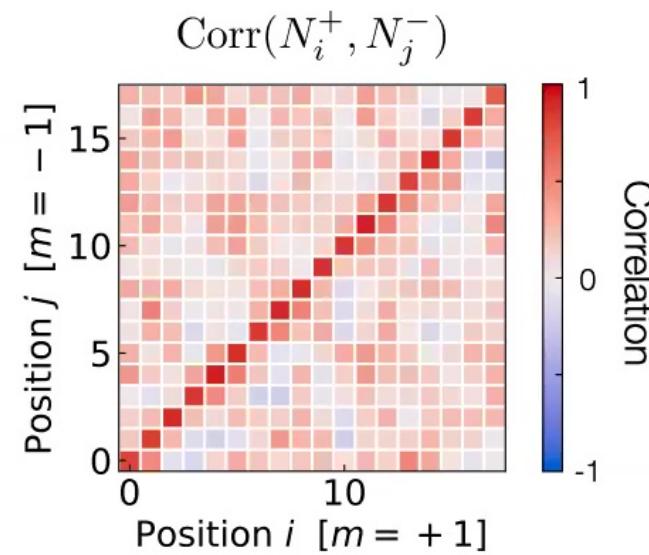
- 18 sites with $\sim 10^4$ atoms/site
- Collective enhancement of interaction strength

Objective: arbitrary control of translationally invariant couplings

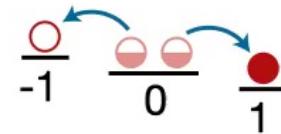
Spatial Control of Pair Creation



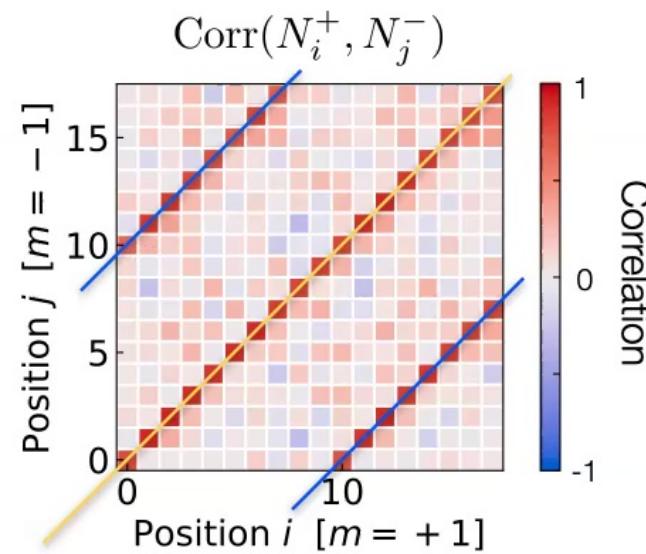
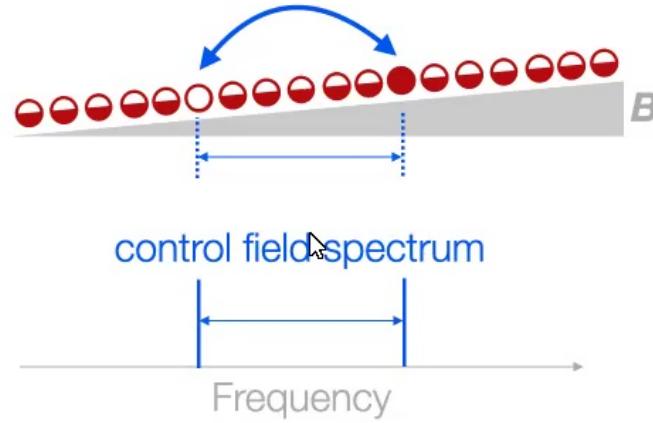
- 1) Turn off long-range interactions by adding a magnetic field gradient



Spatial Control of Pair Creation



- 1) Turn off long-range interactions by adding a magnetic field gradient
- 2) Reintroduce interactions at distance(s) set by spectrum of drive field

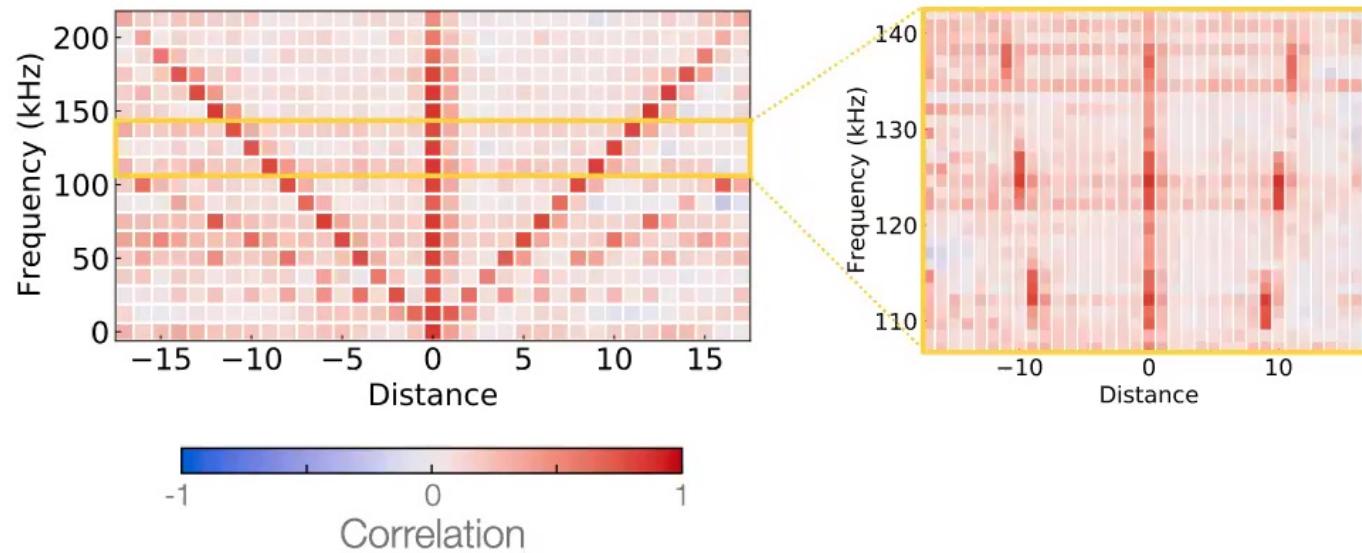


Proposals: Hung, Gonzales-Tudela, Cirac & Kimble, *PNAS* (2016) — nanophotonics.
Manovitz, ... & Ozeri *PRX Quantum* (2020) — trapped ions.

Programmable Interactions

A. Periwal, E. Cooper, P. Kunkel,
E. Davis & MS-S, in preparation.

Controlling interaction distance by frequency spacing between drive fields

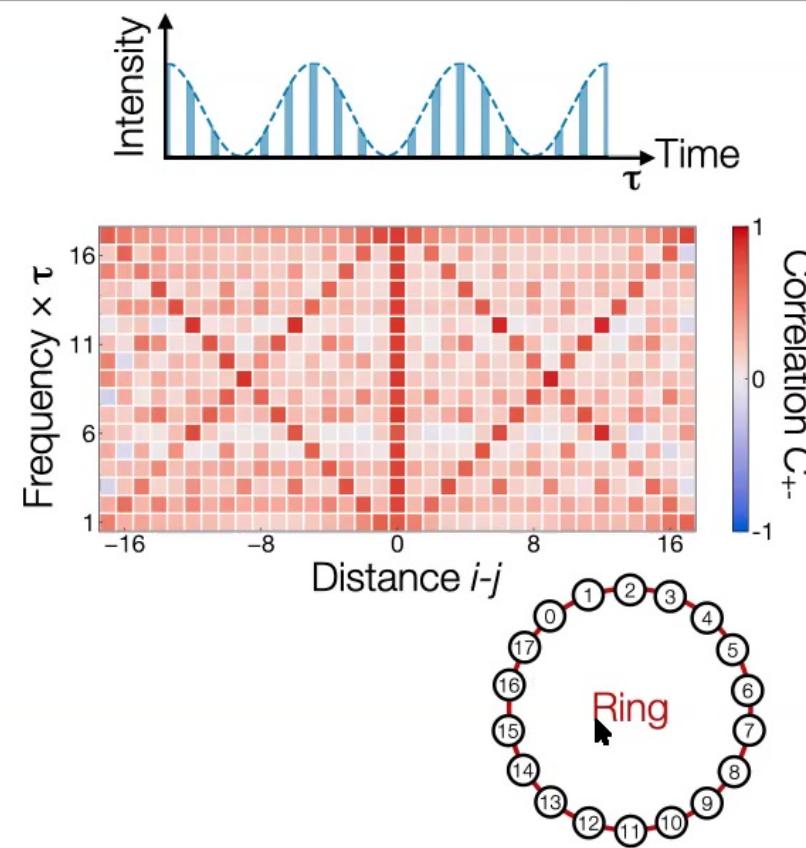
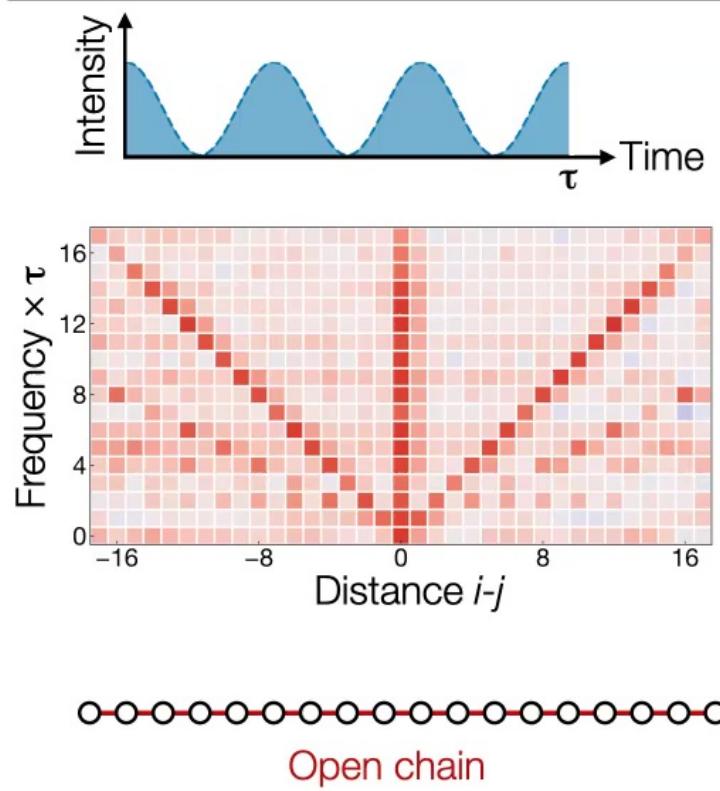


Generalization: multifrequency drive enables *arbitrary* couplings $J(i-j)$



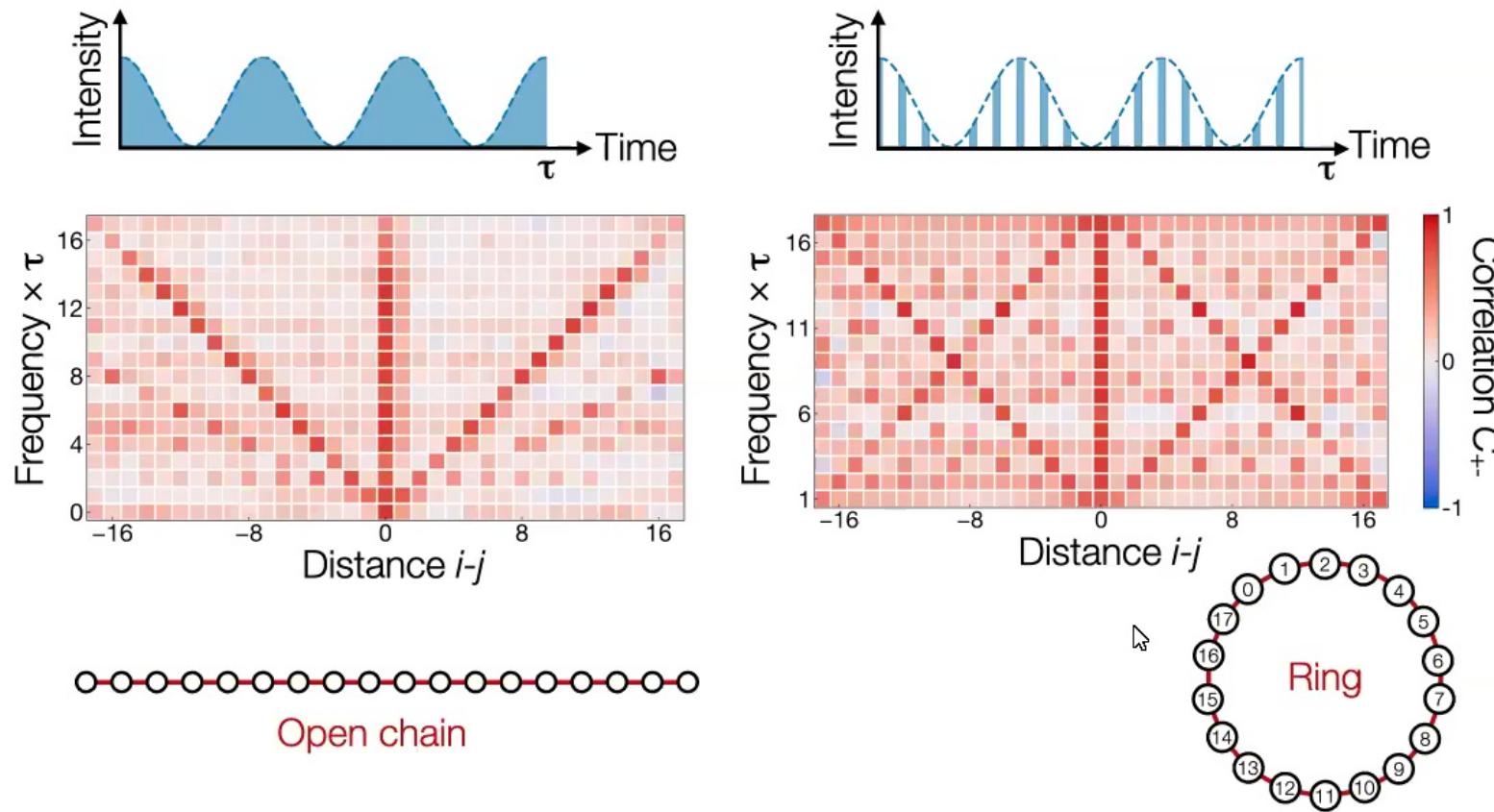
Periodic Boundary Conditions

A. Periwal, E. Cooper, P. Kunkel,
E. Davis & MS-S, in preparation.



Periodic Boundary Conditions

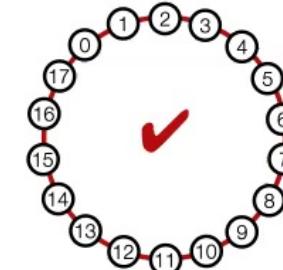
A. Periwal, E. Cooper, P. Kunkel,
E. Davis & MS-S, in preparation.



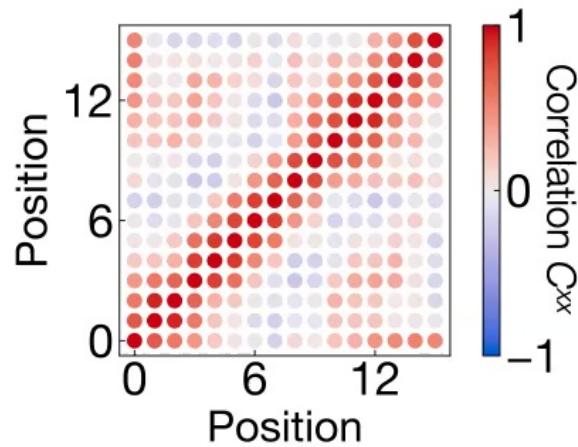
Geometry of the interaction graph need not be same as physical geometry...

Reconstructing Geometry

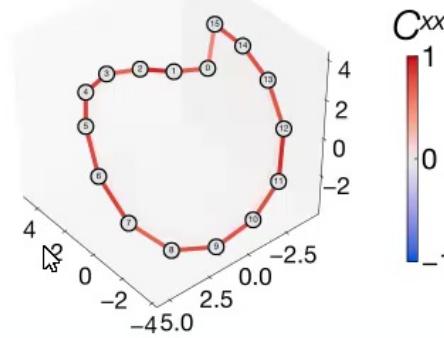
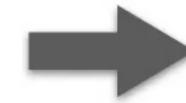
Drive Waveform



Measured Correlations



$$|C_{ij}^{xx}| \propto e^{-|\mathbf{r}_i - \mathbf{r}_j|^2}$$

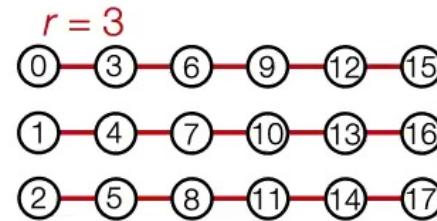


Best-Fit Geometry

Reconstructing Geometry

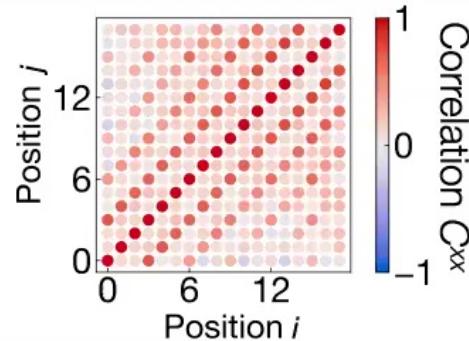
A. Periwal, E. Cooper, P. Kunkel,
E. Davis & MS-S, in preparation.

Coupling graph

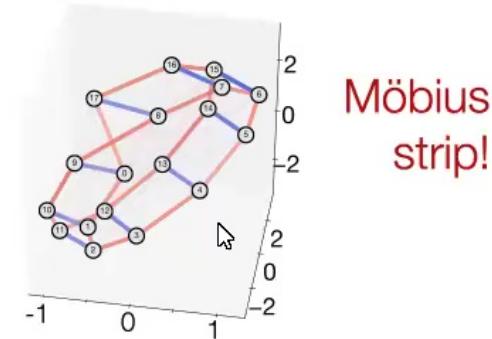
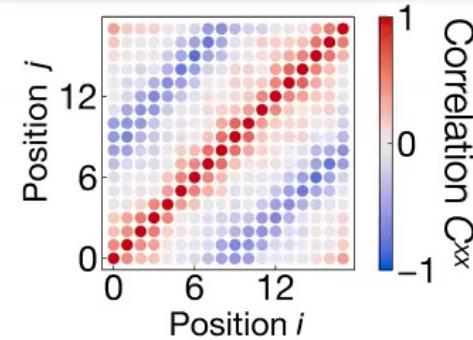
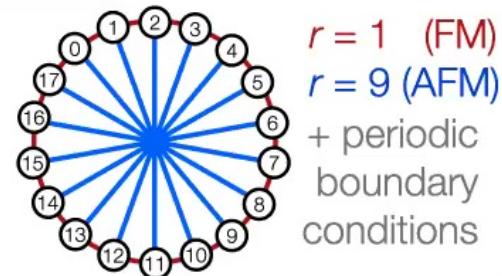
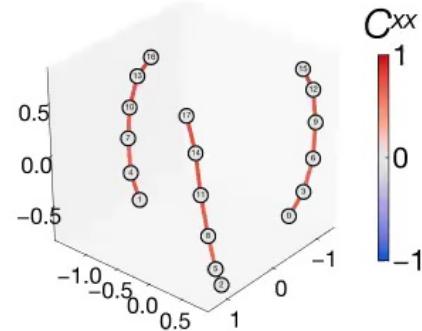


Measured correlations

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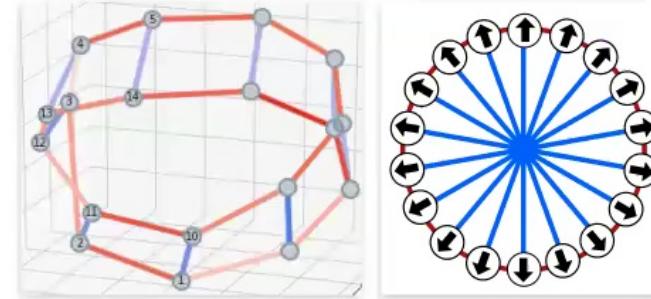
Best-fit geometry



Programmable Couplings Enable...

Opportunities

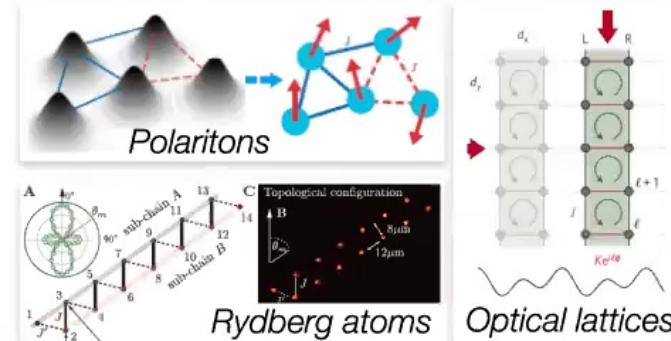
- Exotic geometries
- Non-trivial topology
- Geometrical frustration
- Sign-changing interactions
- Peierls phases for magnetic flux



Applications

- Spin glasses
- Combinatorial optimization
- Topological phases
- Fast scrambling
- Toy models for quantum gravity?

Inspiration from other platforms...



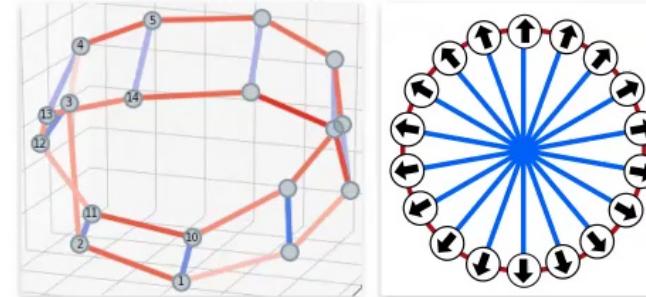
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Opportunities

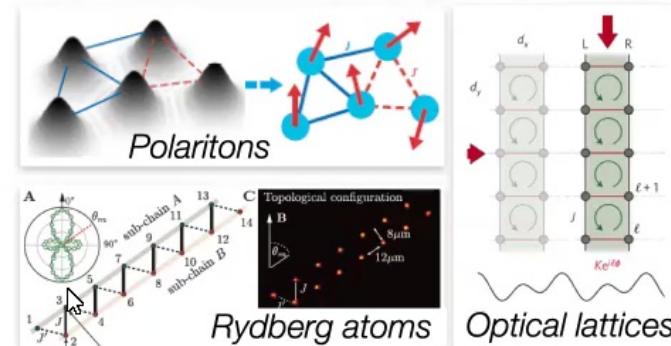
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Inspiration from other platforms...



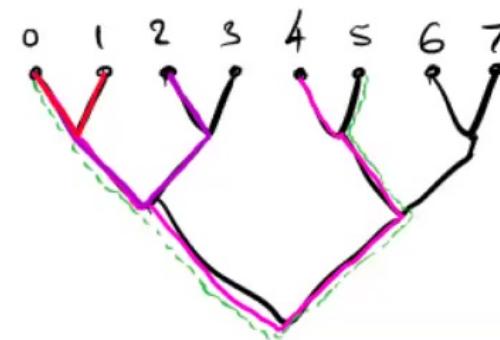
...but non-local interactions offer unique opportunities!

In Memoriam

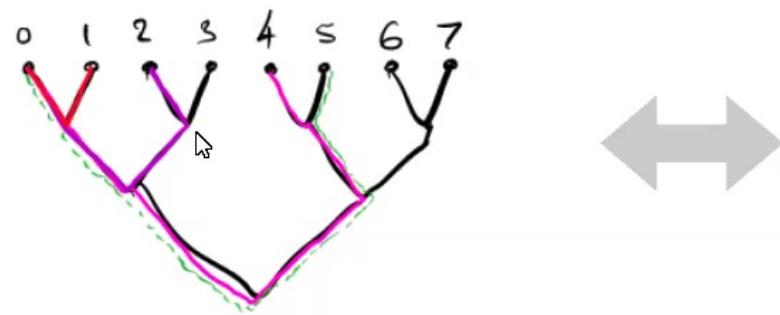


Steve Gubser (1972 - 2019)

What **mathematics** is behind the reality which we experience as **smooth spacetime**, but which is in all likelihood discrete at a fundamental level?



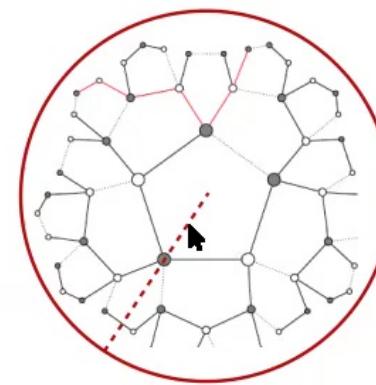
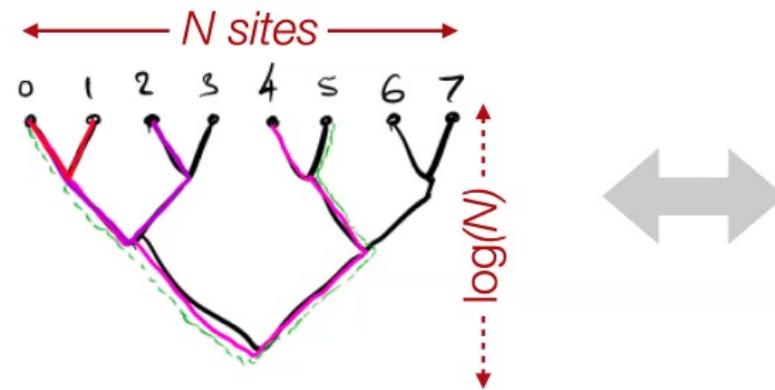
Tree-Like Geometry



Tree = discretized model of curved space → gravity

Gubser et al., *Comm. Math. Phys.* (2017).

Tree-Like Geometry

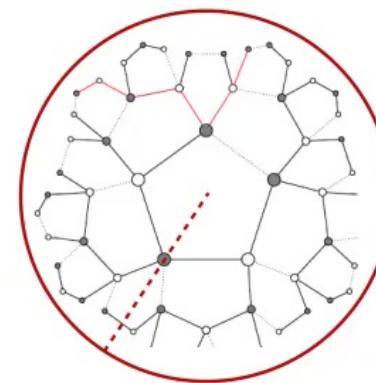
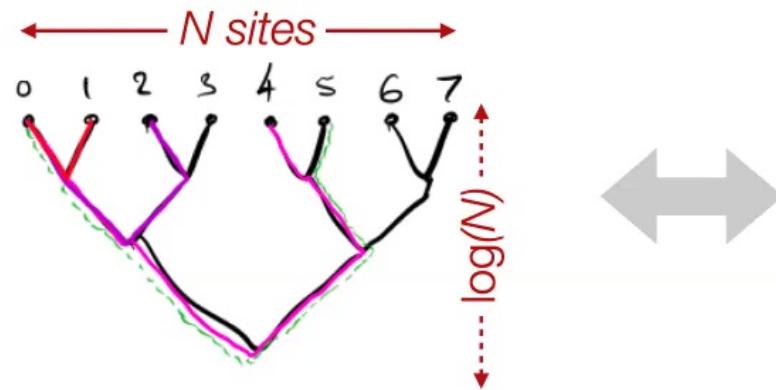


Heydeman et al, arXiv (2017).

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Gubser et al., *Comm. Math. Phys.* (2017).

Tree-Like Geometry



Heydeman et al, arXiv (2017).

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Quantum mechanics on a tree graph \rightarrow quantum gravity?

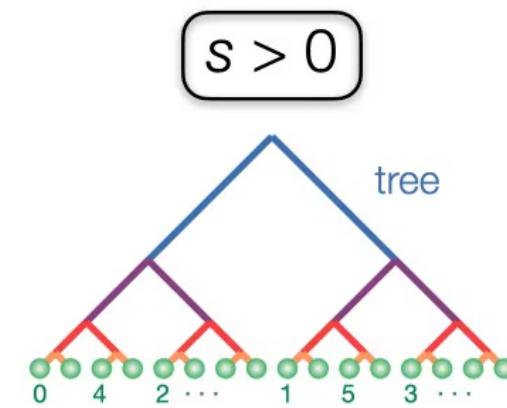
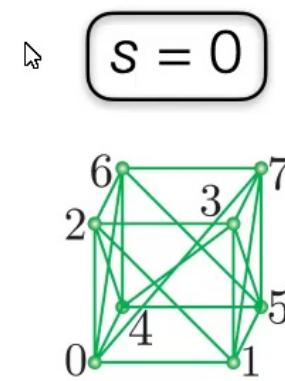
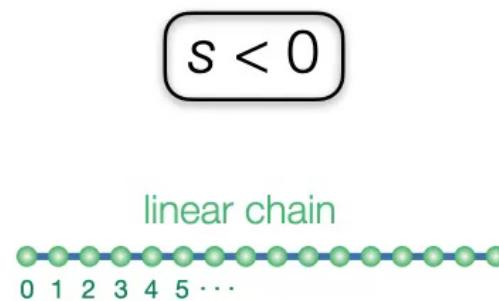
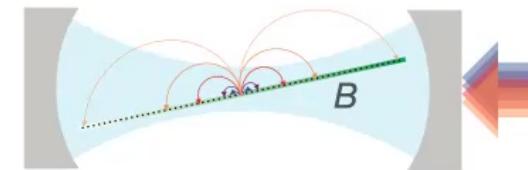


Tree-Like Interactions

Bentsen, Hashizume, Buyskikh, Davis, Daley, Gubser, & MS-S, *PRL* **123**, 130601 (2019).

Efficiently spread information by coupling i^{th} spin to $i \pm 1, i \pm 2, i \pm 4, i \pm 8, \dots, i \pm 2^l$

$$J(i - j) = \begin{cases} |i - j|^s & |i - j| = \text{a power of 2} \\ 0 & \text{otherwise} \end{cases}$$

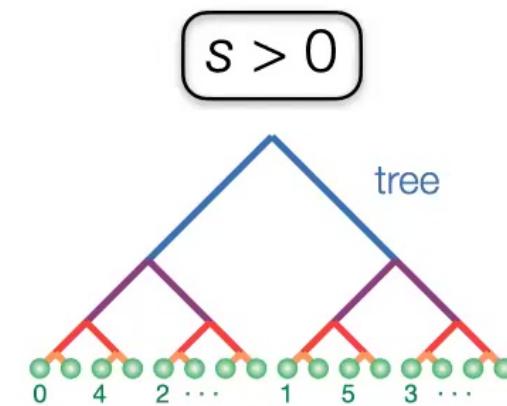
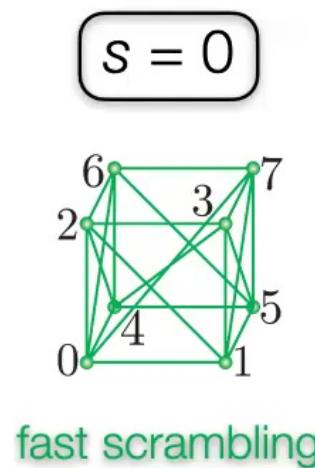
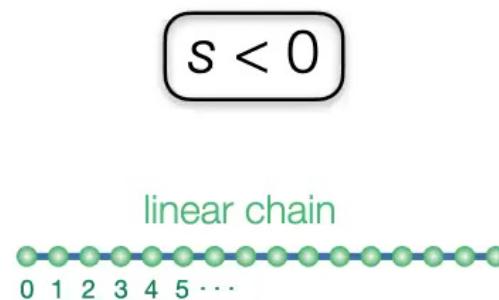
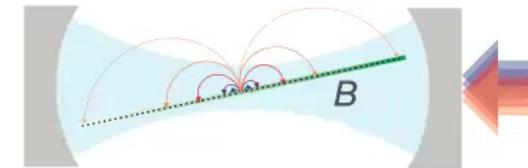


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Bentsen, Hashizume, Buyskikh, Davis, Daley, Gubser, & MS-S, *PRL* **123**, 130601 (2019).

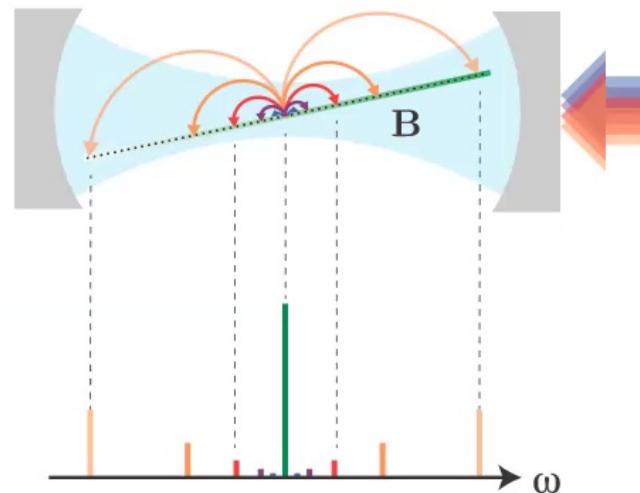
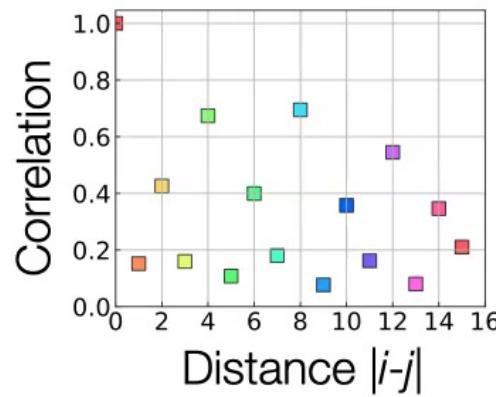
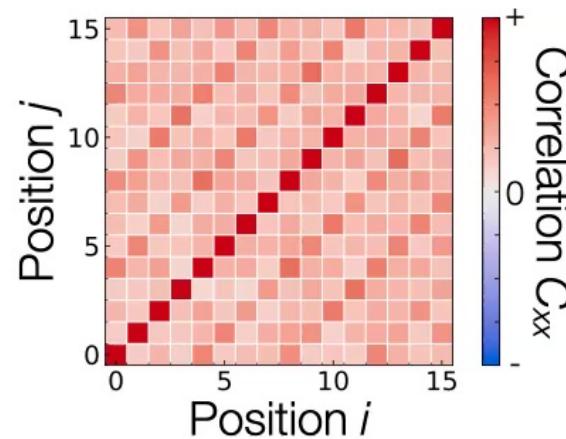
Efficiently spread information by coupling i^{th} spin to $i \pm 1, i \pm 2, i \pm 4, i \pm 8, \dots, i \pm 2^l$

$$J(i - j) = \begin{cases} |i - j|^s & |i - j| = \text{a power of 2} \\ 0 & \text{otherwise} \end{cases}$$



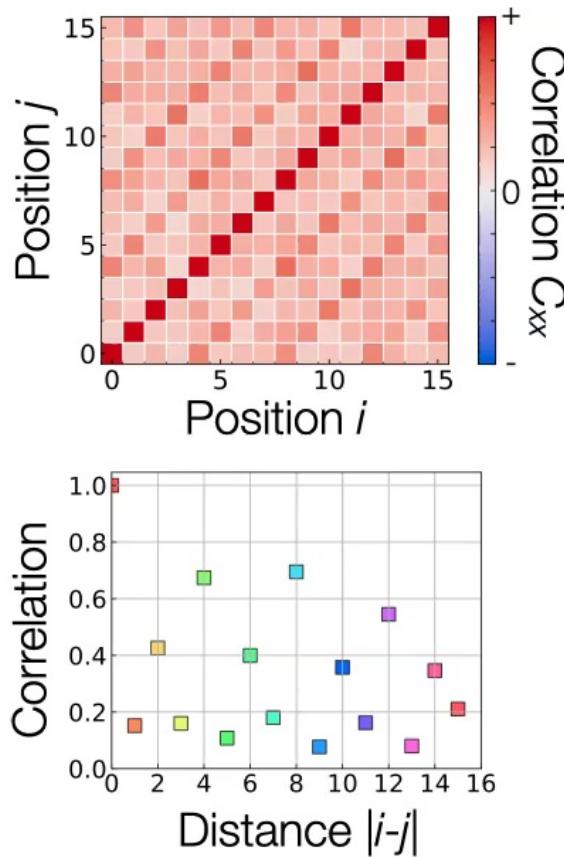
Treelike Geometry?

$$J(i - j) = \begin{cases} |i - j| & |i - j| = \text{a power of 2} \\ 0 & \text{otherwise} \end{cases}$$



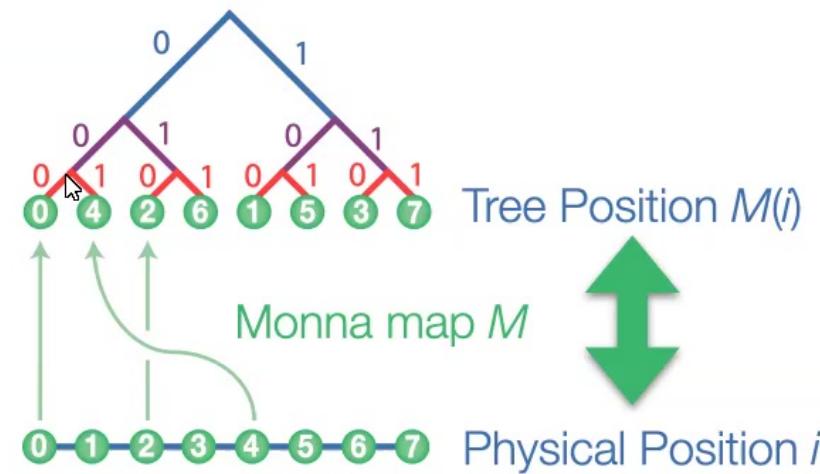
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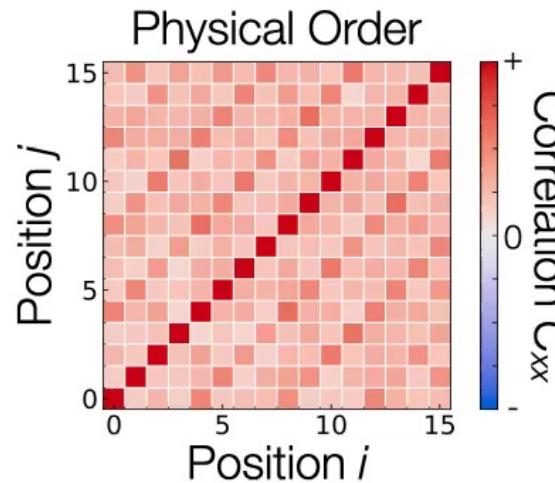
Hypothesis: effective geometry is a tree

Test: rearrange sites via *Monna map*, reversing order of bits

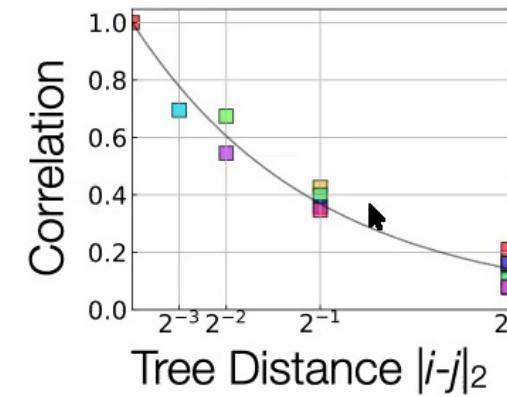
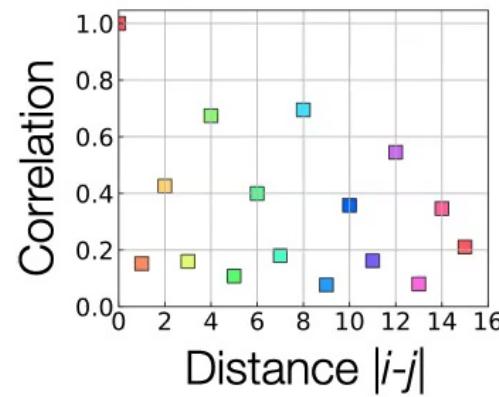
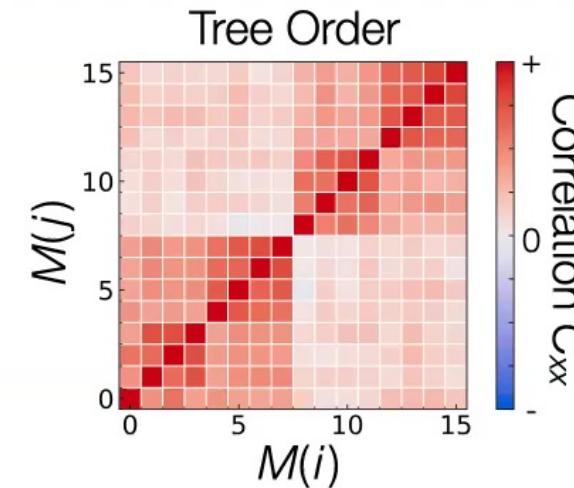


Treelike Geometry

$$J(i - j) = \begin{cases} |i - j| & |i - j| = \text{a power of 2} \\ 0 & \text{otherwise} \end{cases}$$



Monna
map

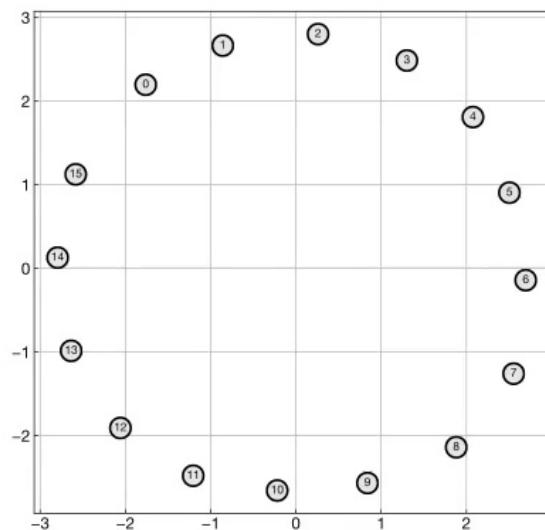


Probing the Holographic Bulk?

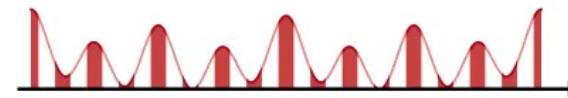
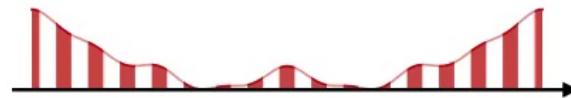
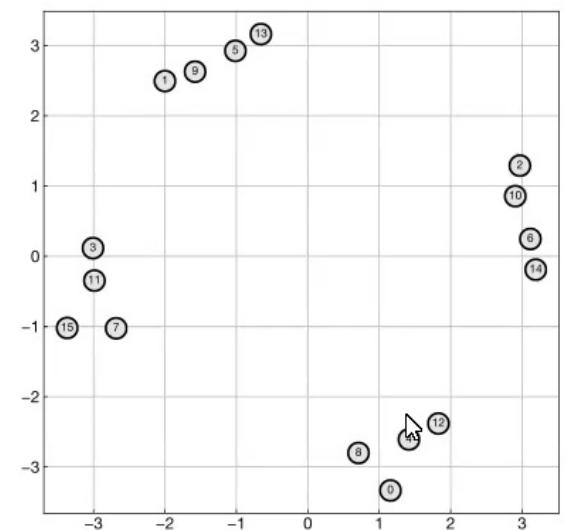
$$J(i-j) = \begin{cases} |i-j|^s & |i-j| = \text{power of 2} \\ 0 & \text{otherwise} \end{cases}$$

1. Reconstruct boundary geometry from spin correlations

$s = -1$



$s = +1$

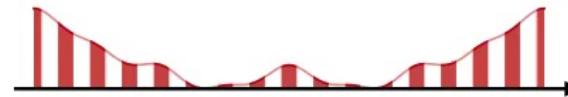
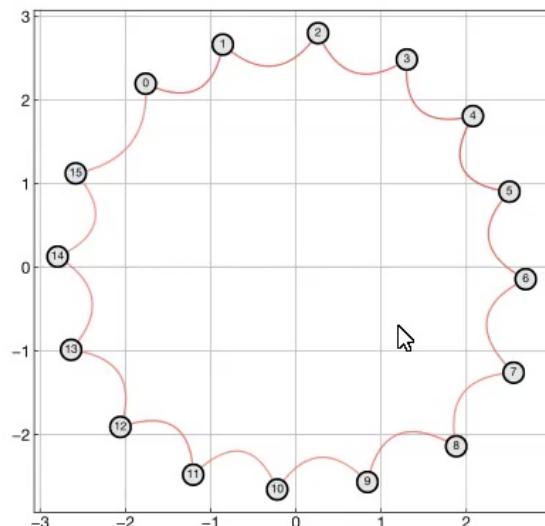


Probing the Holographic Bulk?

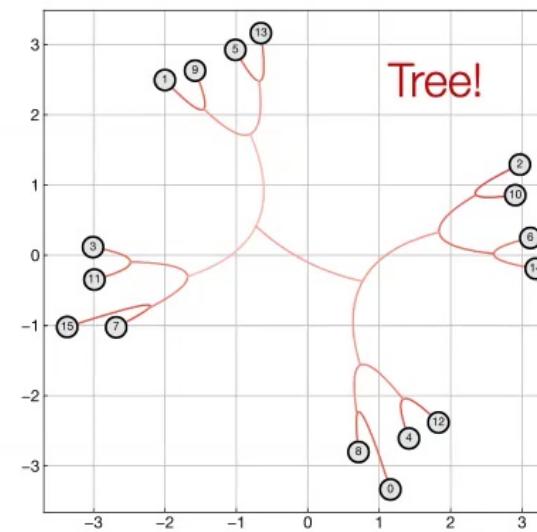
$$J(i - j) = \begin{cases} |i - j|^s & |i - j| = \text{power of 2} \\ 0 & \text{otherwise} \end{cases}$$

1. Reconstruct **boundary geometry** from spin correlations
2. Find strongest correlations & **coarse-grain** to reconstruct **holographic bulk**

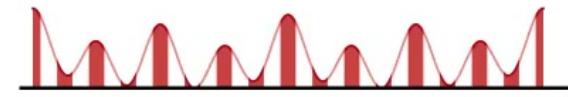
$s = -1$



$s = +1$



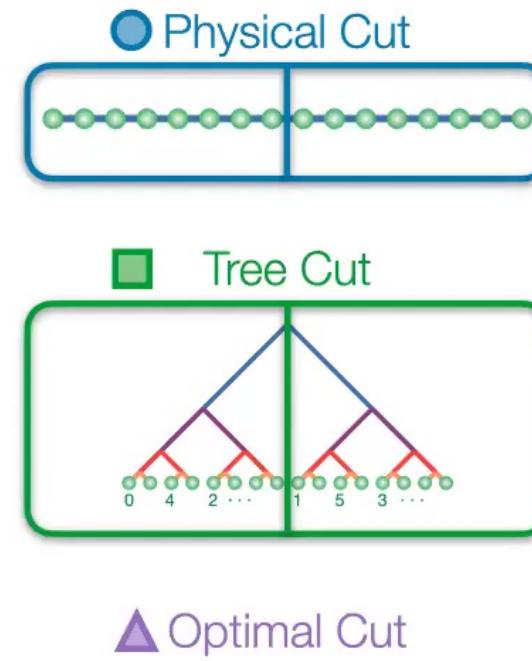
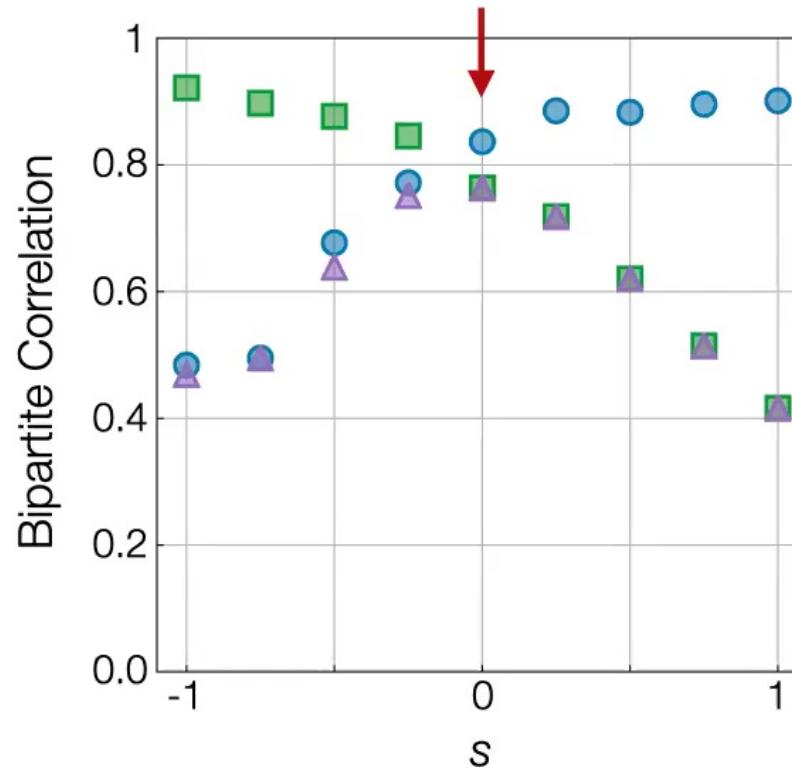
Tree!



Toward Fast Scrambling?

$$J(i-j) = \begin{cases} |i-j|^s & |i-j| = \text{power of 2} \\ 0 & \text{otherwise} \end{cases}$$

At $s = 0$: no way to cut the system into two weakly correlated halves



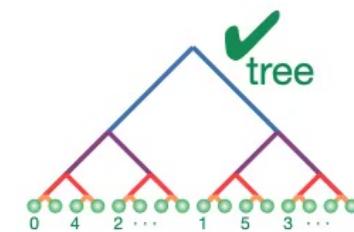
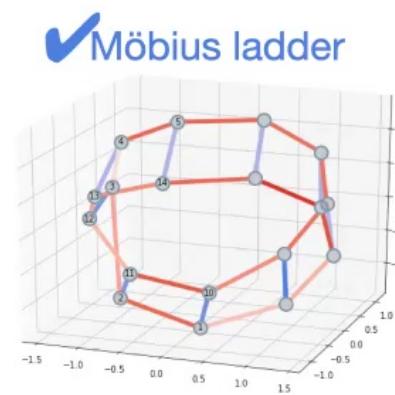
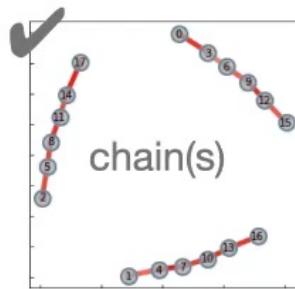
Programmable Interactions



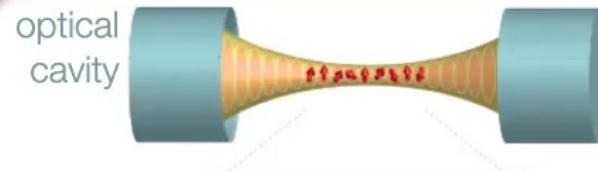
$$H = \sum_{i,j} [J_{ij}^{xy} (s_i^+ s_j^- + s_i^- s_j^+) + J_{ij}^z s_i^z s_j^z]$$

Knobs:

- ✓ Sign of interaction (ferro- vs antiferromagnetic)
- ✓ Form of couplings (flip-flop vs Ising)
- ✓ Spatial structure



Summary & Outlook



$$H = \sum_{i,j} [J_{ij}^{xy} (s_i^x s_j^x + s_i^y s_j^y) + J_{ij}^z s_i^z s_j^z]$$

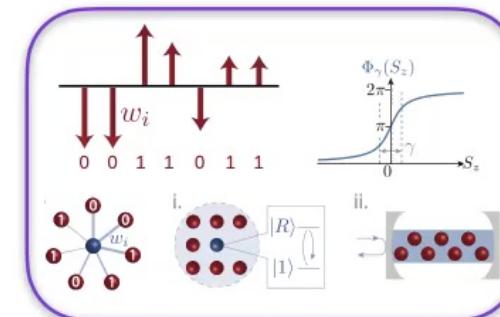
Optically programmable interactions:
form (XY vs Ising), signs, interaction graph

Interactions can **protect spin coherence**

Exotic geometries: black-box
reconstruction from spin correlations

Prospects

- Simulations of quantum gravity
- Topological phases
 - ...on topologically non-trivial manifolds
- Frustrated magnetism
- Quantum optimization
 - ...gain-based? ...Grover search
- Spatially structured entanglement for metrology



Anikeeva, Markovic, Borish,
Hines, Rajagopal, Cooper,
Periwal, Safavi-Naeini, Davis
& MS-S, arXiv:2009.05549,
(PRX Quantum, 2021).

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