

Title: Disappearing stars without a trace: what is their maximum angular momentum?

Speakers: Ariadna Murguia Berthier

Series: Strong Gravity

Date: November 12, 2020 - 1:00 PM

URL: <http://pirsa.org/20110049>

Abstract: We have tentative evidence of massive stars that disappear without a bright transient. It is commonly argued that these massive stars have low angular momentum and can collapse into a black hole without significant feedback. In this talk I will make use of general-relativistic hydrodynamical simulations to understand the flow around a newly-formed black hole. I will discuss the angular momentum needed in order for the infalling material to be accreted into the black hole without forming a centrifugally supported structure, thus generating no effective feedback. If the feedback from the black hole is significant, the collapse can be halted and, as a result, it is likely followed by a bright transient. With the results from the simulation, I will constrain the maximum rotation rate for the disappearing massive progenitors known, and set a limit on the rate of expected disappearing stars.

Disappearing stars without a trace: what is their maximum angular momentum?

Ariadna Murguia Berthier

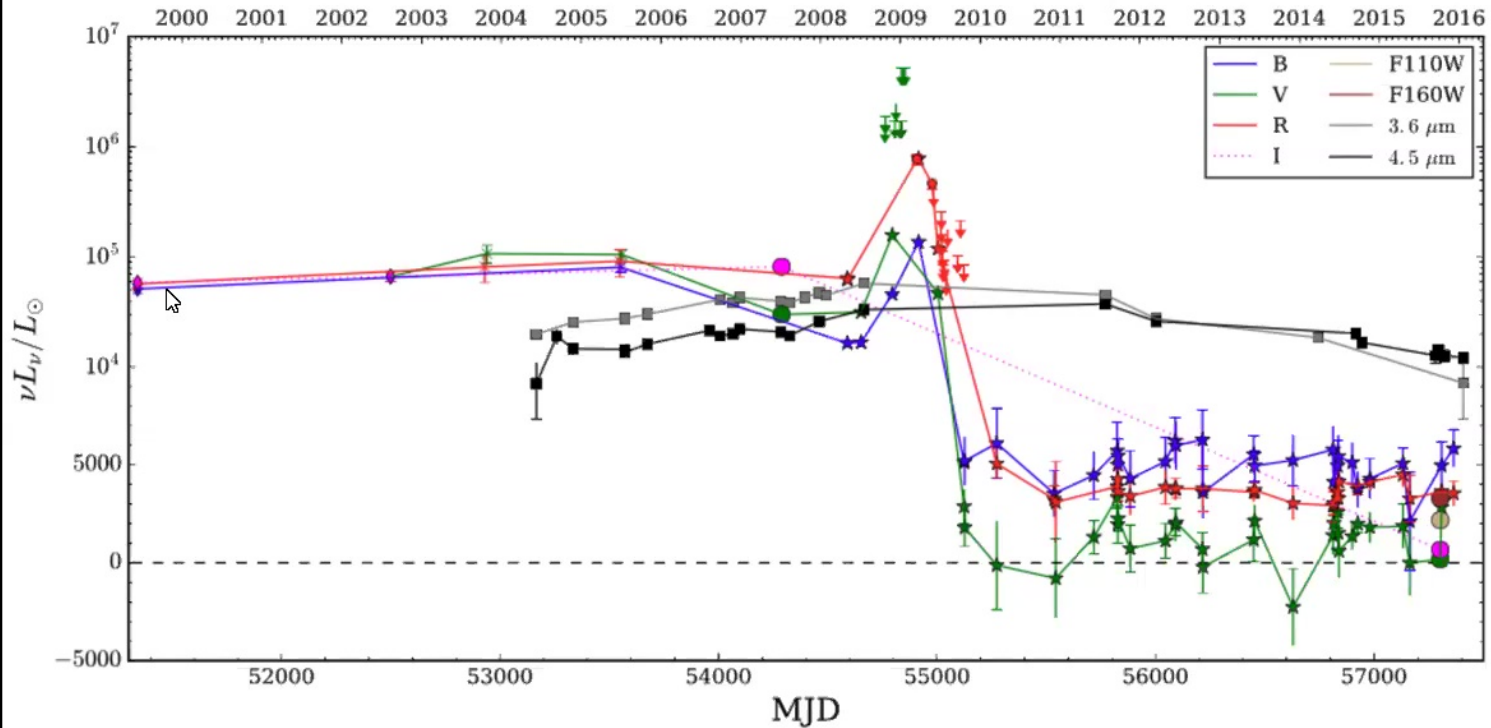
Enrico Ramirez-Ruiz, Aldo Batta,
Agnieszka Janiuk, Ilya Mandel, Scott Noble



Outline

- Disappearing stars
- Possible explanations
- Direct collapse as an explanation
- Black hole (BH) evolution and accretion disk feedback
- Low angular momentum flows into BH
- Simulations of low angular momentum flows
- Constraining the maximum angular momentum of disappearing stars
- Limits on stellar rotation

Disappearing stars

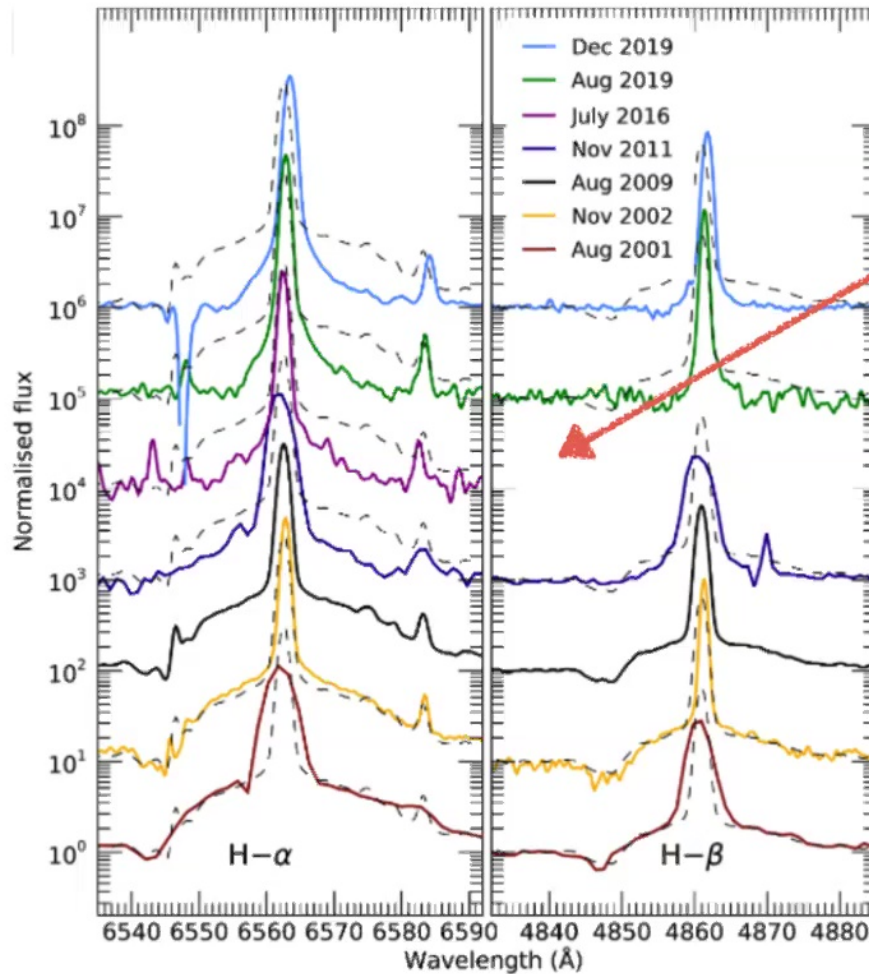


Found using the LBT and HST archival images in a dusty galaxy. The mass of the star is around 20-30 solar masses.

N6946-BH1

Gerke et al. 2015
Adams et al. 2017

Disappearing stars

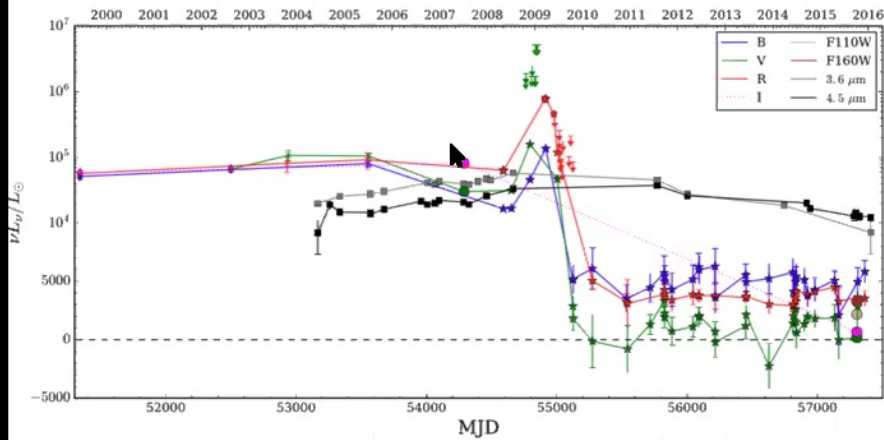


Around 2011 the eruption ends

Luminous Blue Variable of around 80-100 solar masses

PHL293B-LBV
Allan et al. 2020

Disappearing stars



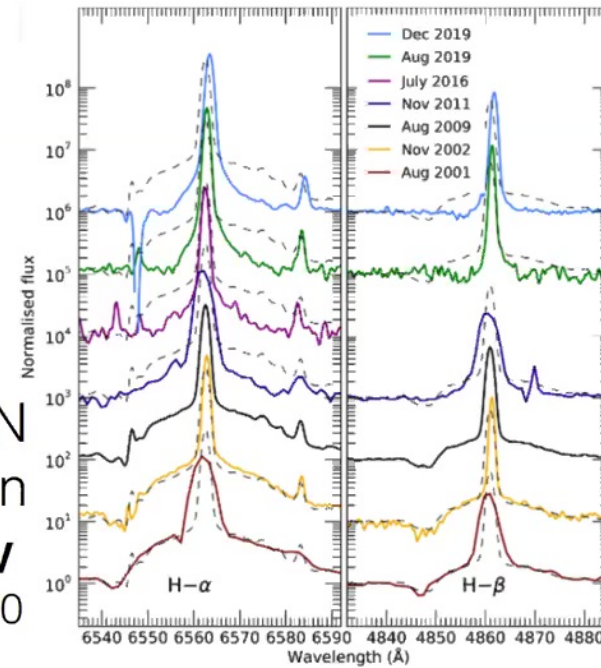
Obscuration by a dusty shell
Stellar merger

Pair instability SN
The LBV can erupt again

PHL293B-LBV
Allan et al. 2020

N6946-BH1

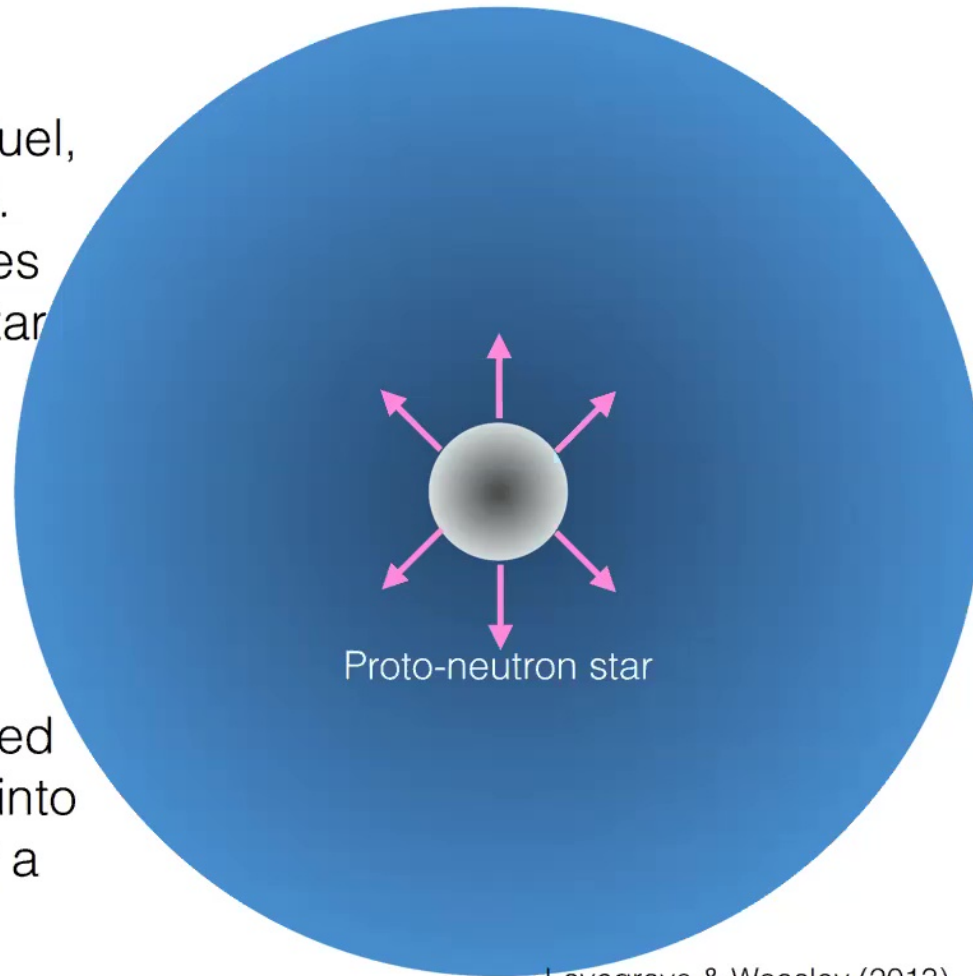
Gerke et al. 2015
Adams et al. 2017



Mild supernova

As the star finishes its fuel,
it begins to collapse.
The iron core collapses
into a proto-neutron star

Neutrinos will be emitted
before the core settles into
a cold neutron star or a
black hole



Lovegrove & Woosley (2013)

Mild supernova

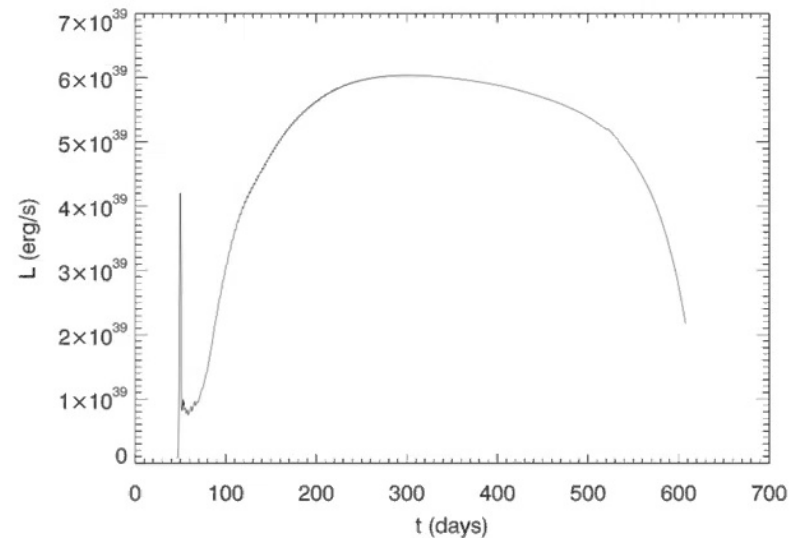
Energy lost in neutrinos

$$BE \approx 0.084 \left(\frac{M_G}{M_\odot} \right)^2 M_\odot$$

Lovegrove & Woosley (2013)
Lattimer & Yahil (1989)

Neutrinos carry around
0.2-0.5 solar masses in
gravitational energy

Can even unbind the already
loosely bound H-envelope



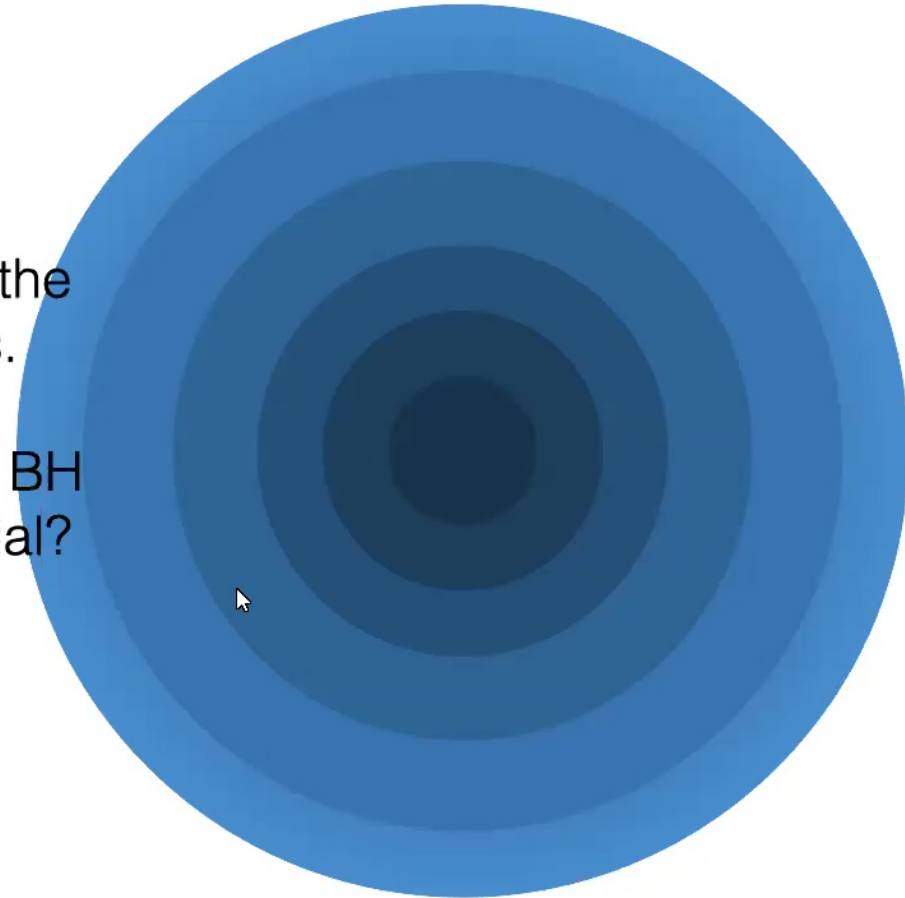
Low luminosity supernova

Lovegrove & Woosley (2013)

Collapse to a BH

A BH is formed after the iron core collapses.

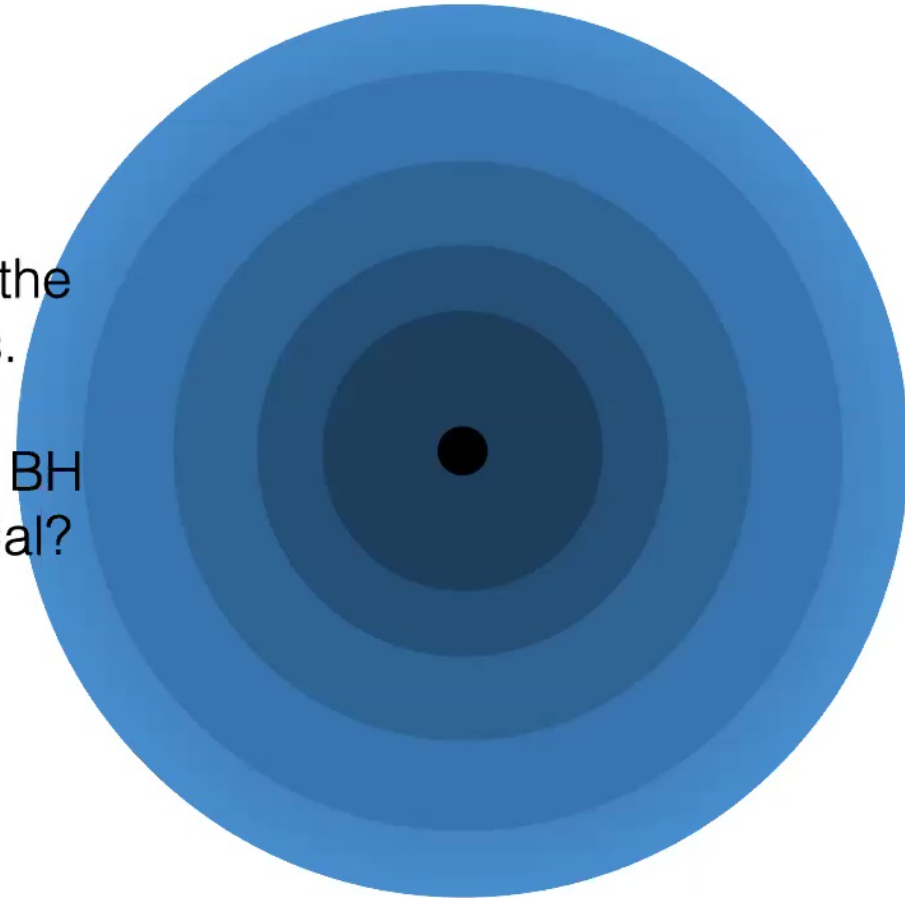
What happens as the BH accretes more material?



Collapse to a BH

A BH is formed after the iron core collapses.

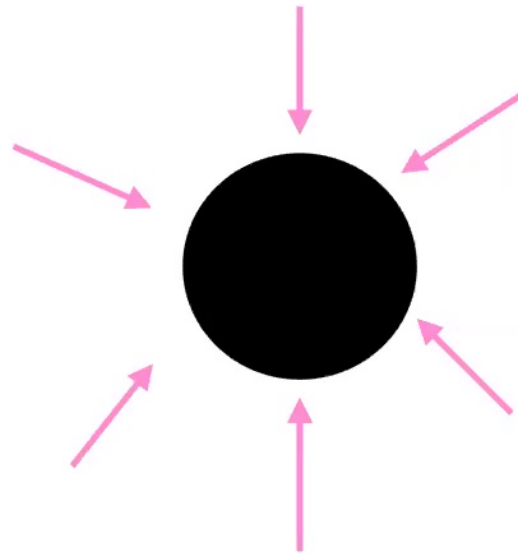
What happens as the BH accretes more material?



Disk formation

If there is no angular momentum: the material would be directly accreted onto the BH. (Bondi accretion)

No feedback is produced.

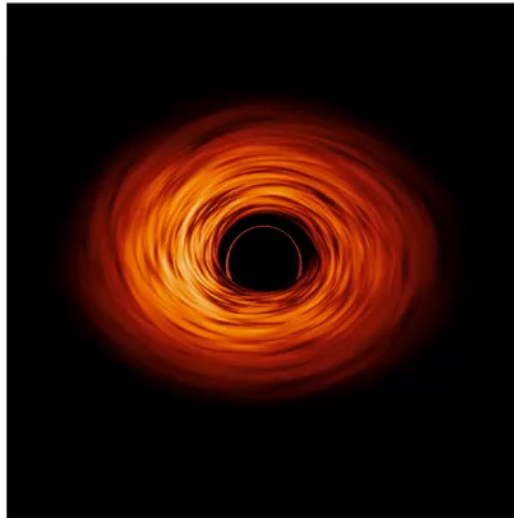


Disk formation

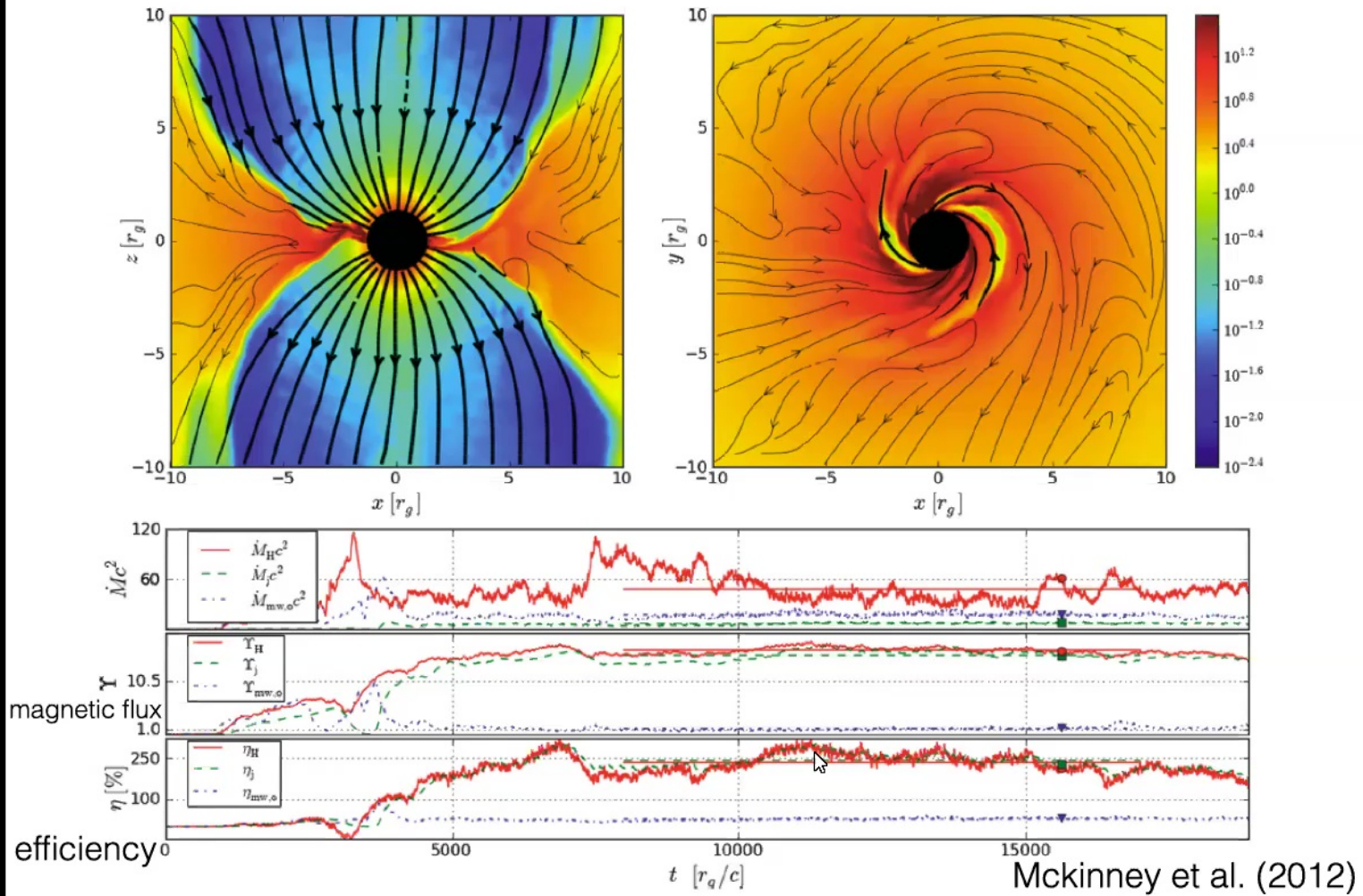
If there is high angular momentum, a disk will be formed.

Magnetic torques will draw material from the disk to the BH,
and the material will radiate.

Feedback!



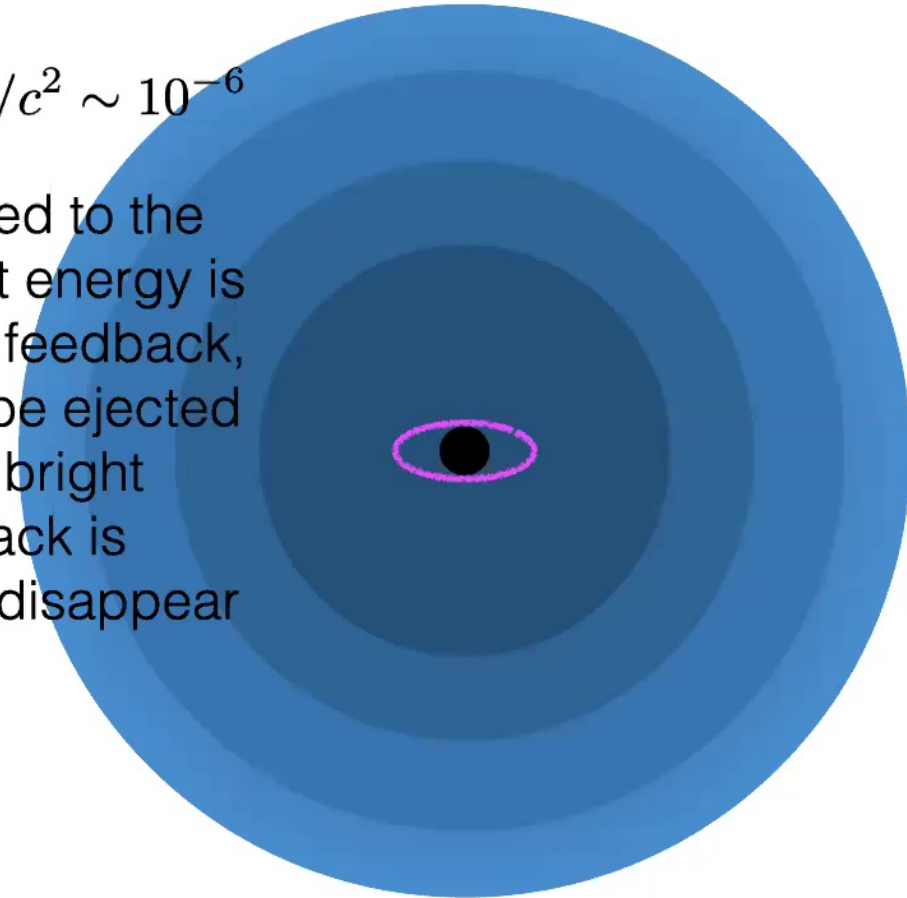
Disk efficiency



Collapse to a BH

$$BE_*/BH_{\text{BH}} \sim v_{\text{esc}}^2/c^2 \sim 10^{-6}$$

If little mass is accreted to the accretion disk, and that energy is efficiently converted to feedback, then the envelope will be ejected and there will be a bright transient. If feedback is inefficient, the star will disappear



BH evolution

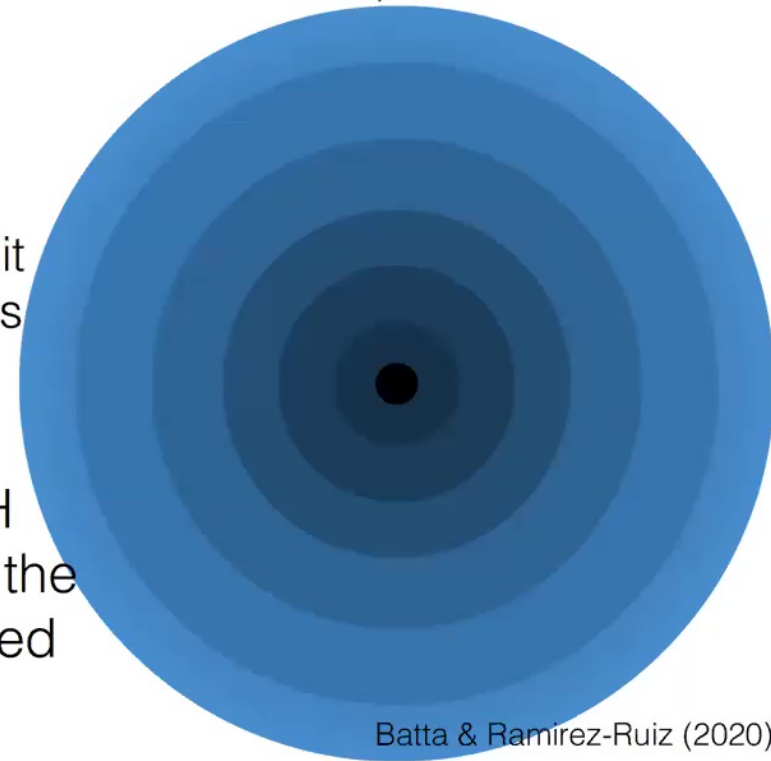
As the newly created BH accretes from the infalling material, its angular momentum and mass will change

$$j_{\text{isco}}(a, M) = \frac{GM}{c} \left(\frac{2}{3^{3/2}} [1 + 2(3\tilde{r}(a) - 2)^{1/3}] \right)$$

$$\tilde{r}(a) = \frac{r_{\text{isco}}(a, M)}{GM/c^2}$$

The innermost stable circular orbit (isco) in a BH is determined by its mass and spin

To understand how the BH evolves, it is easier to divide the star in shells that are accreted onto the BH.



Batta & Ramirez-Ruiz (2020)

BH evolution

Angular momentum distribution of shell

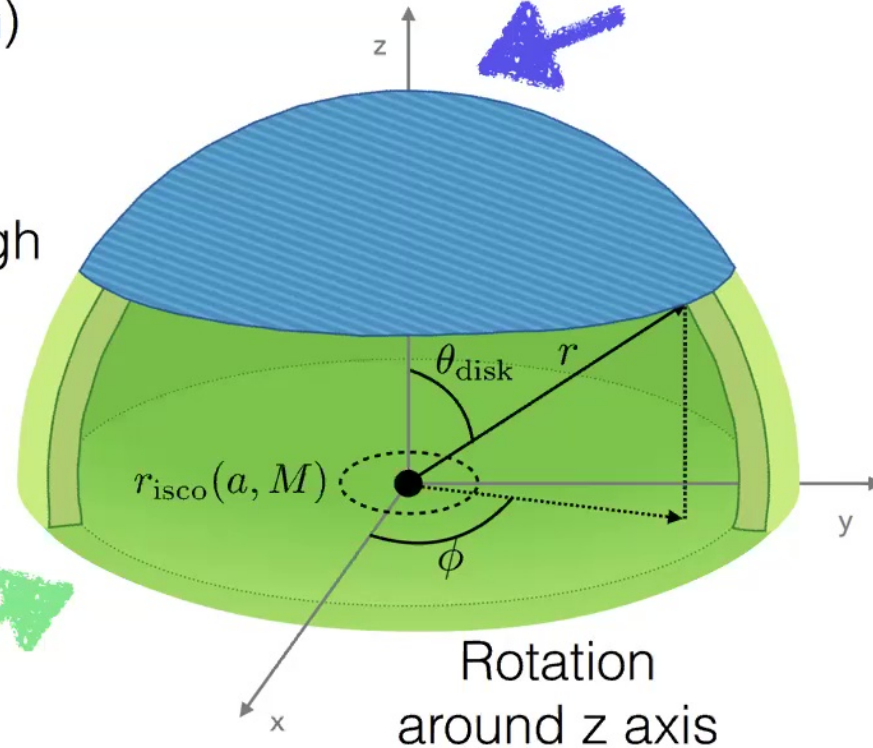
$$j(r, \theta) = \Omega(r)r^2 \sin^2 \theta$$

($r \sin \theta$ is the lever arm)

The BH can't accrete material directly with high angular momentum.

Shell that will be directly accreted

$$j(r, \theta) < j_{\text{isco}}$$



Shell that will
from a disk
 $j(r, \theta) \geq j_{\text{isco}}$

Batta & Ramirez-Ruiz (2020)

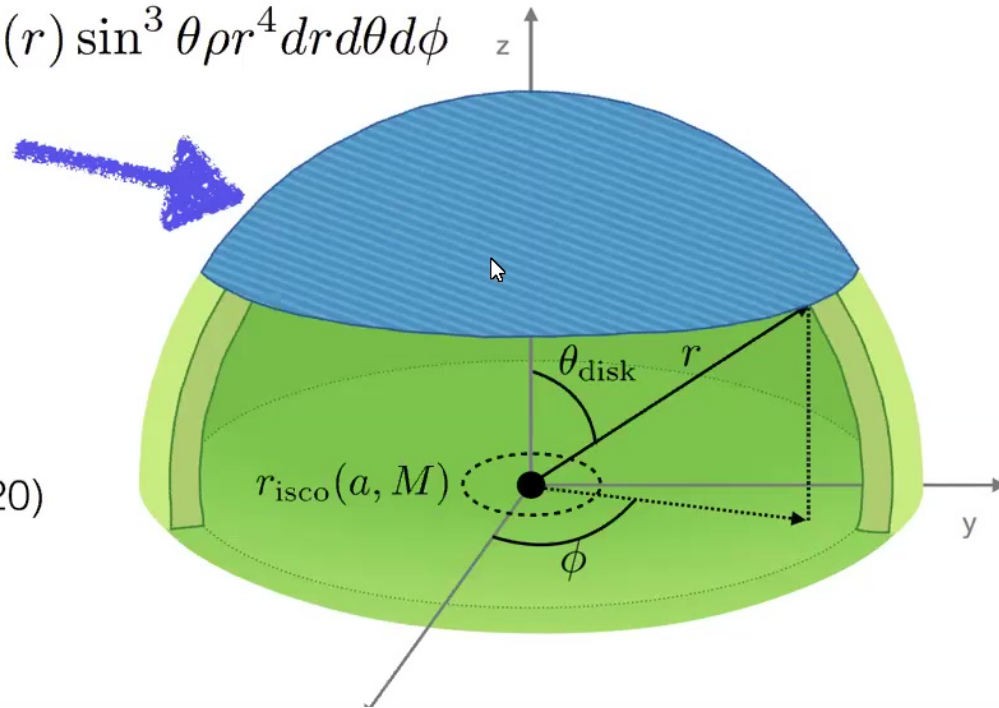
BH evolution

As the shells quasi-radially
flows into the BH:

$$M_{j < j_{\text{isco}}} = 2 \int_{\theta < \theta_{\text{disk}}} \sin \theta \rho r^2 dr d\theta d\phi$$

$$J_{j < j_{\text{isco}}} = 2 \int_{\theta < \theta_{\text{disk}}} \Omega(r) \sin^3 \theta \rho r^4 dr d\theta d\phi$$

Batta & Ramirez-Ruiz (2020)



BH evolution

The shells will have:

$$J_{\text{shell}} = J_{j < j_{\text{isco}}} + J_{j > j_{\text{isco}}}$$

$$M_{\text{shell}} = M_{j < j_{\text{isco}}} + M_{\text{acc}}$$

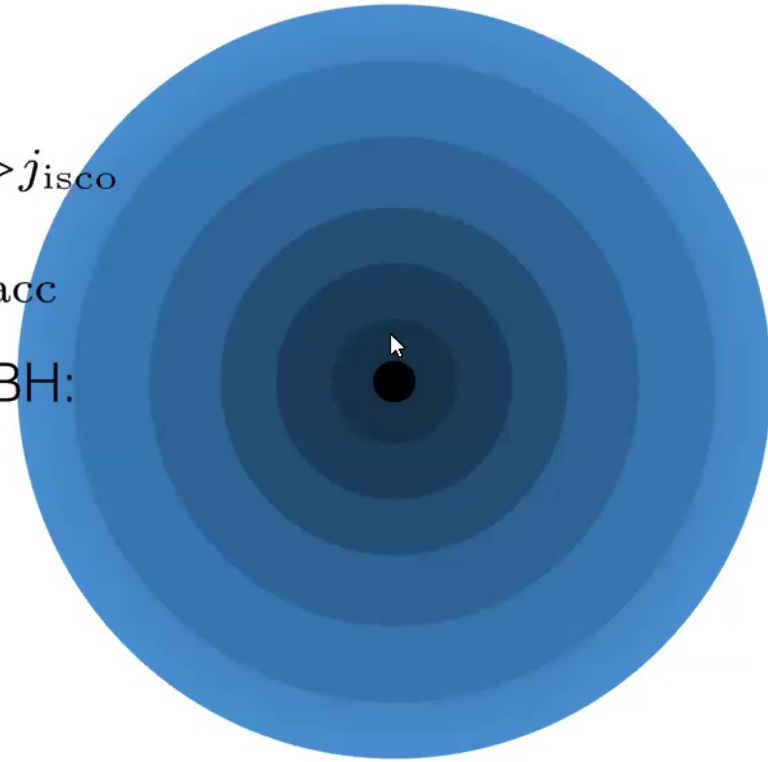
As they get accreted onto the BH:

$$M_{\text{bh}} = M_{\text{bh}} + M_{\text{shell}}$$

$$J_{\text{bh}} = J_{\text{bh}} + J_{\text{shell}}$$

Where:

$$a = \frac{J_{\text{bh}} c}{GM_{\text{bh}}}$$

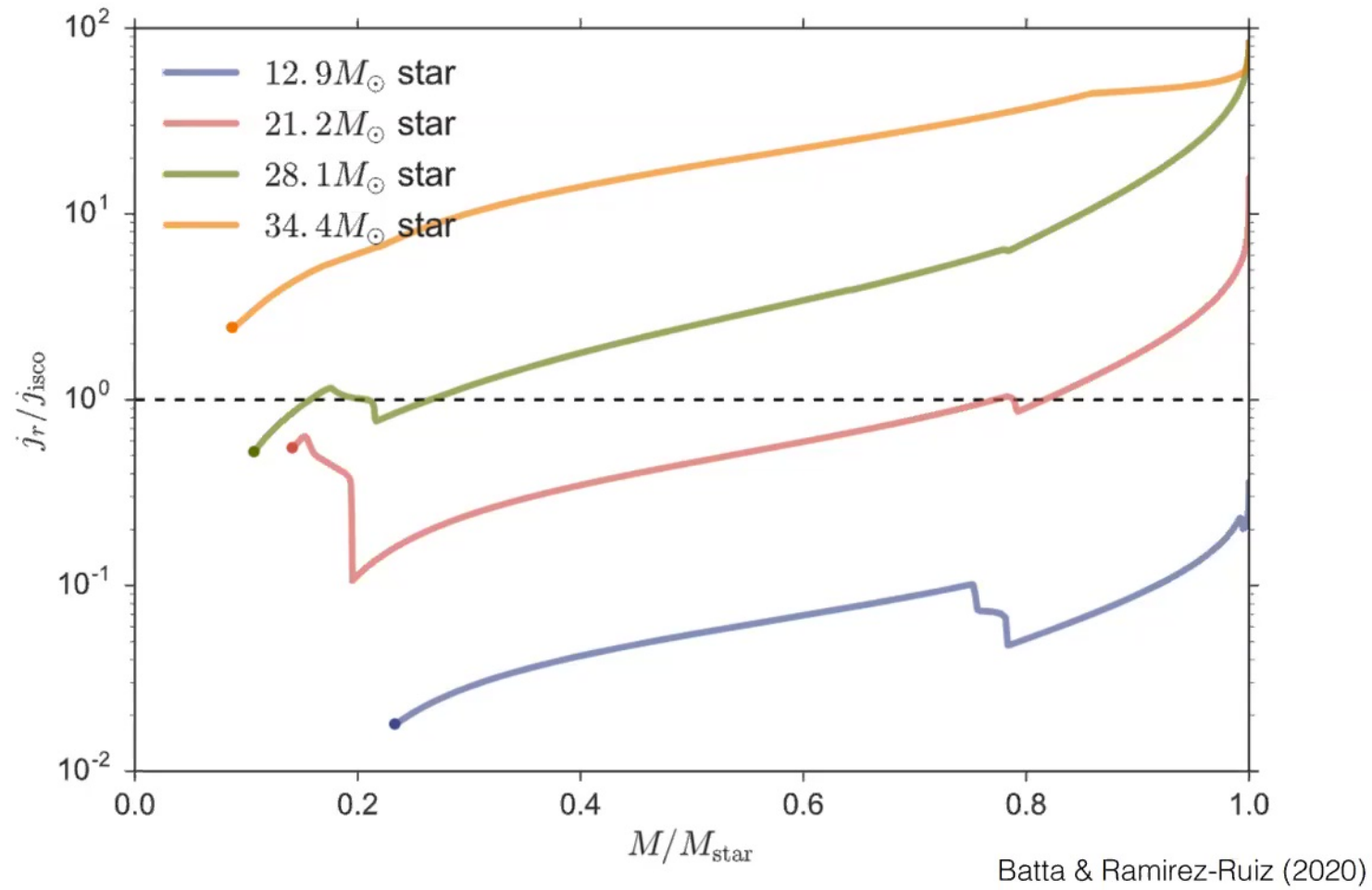


Bardeen (1970)

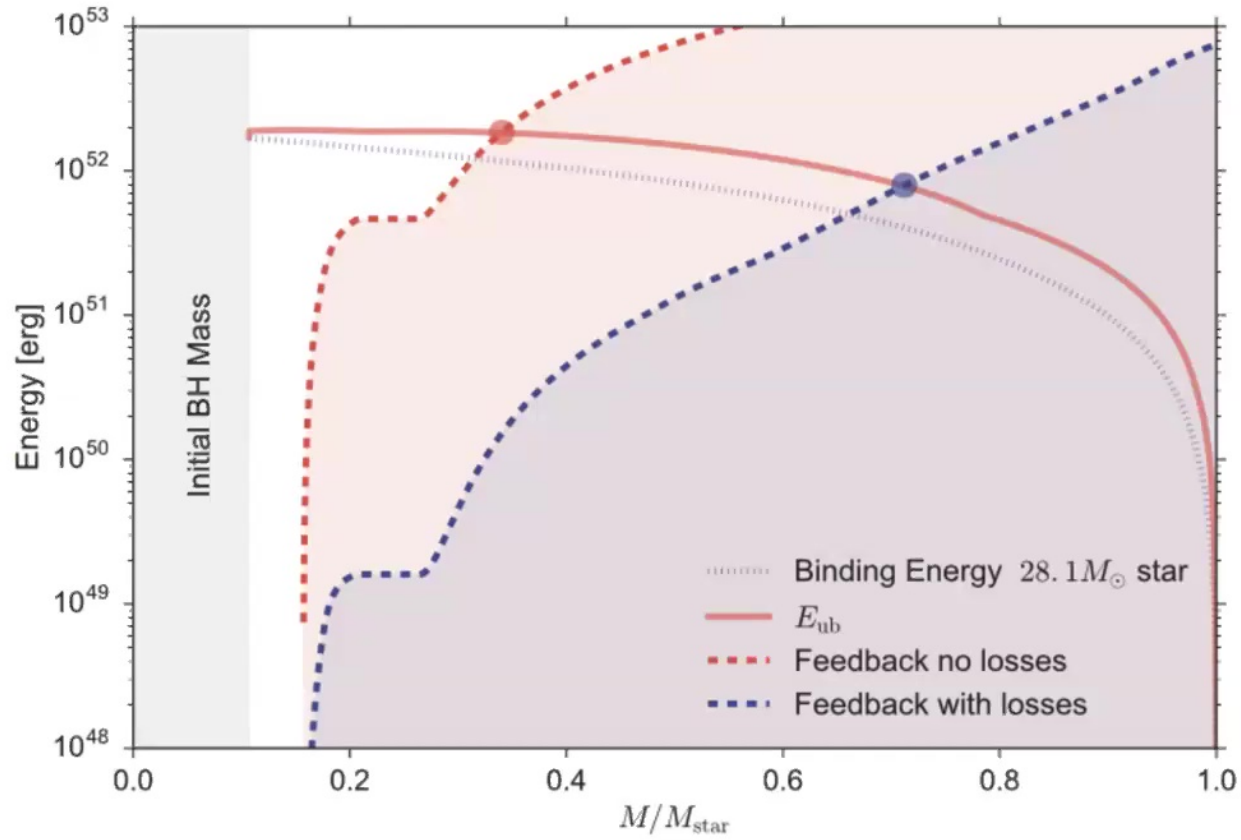
Thorne (1974)

Batta & Ramirez-Ruiz (2020)

BH evolution

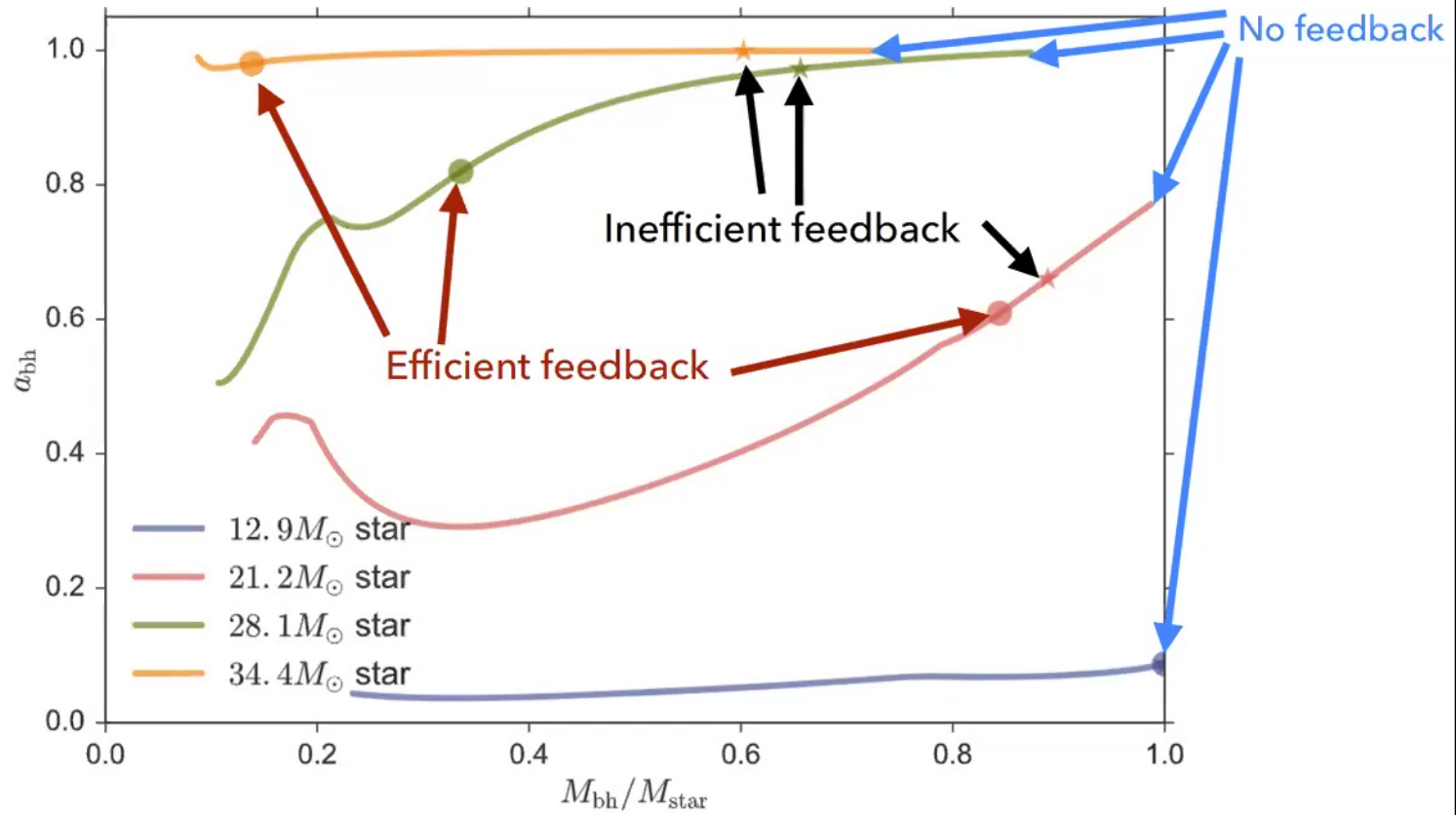


BH feedback



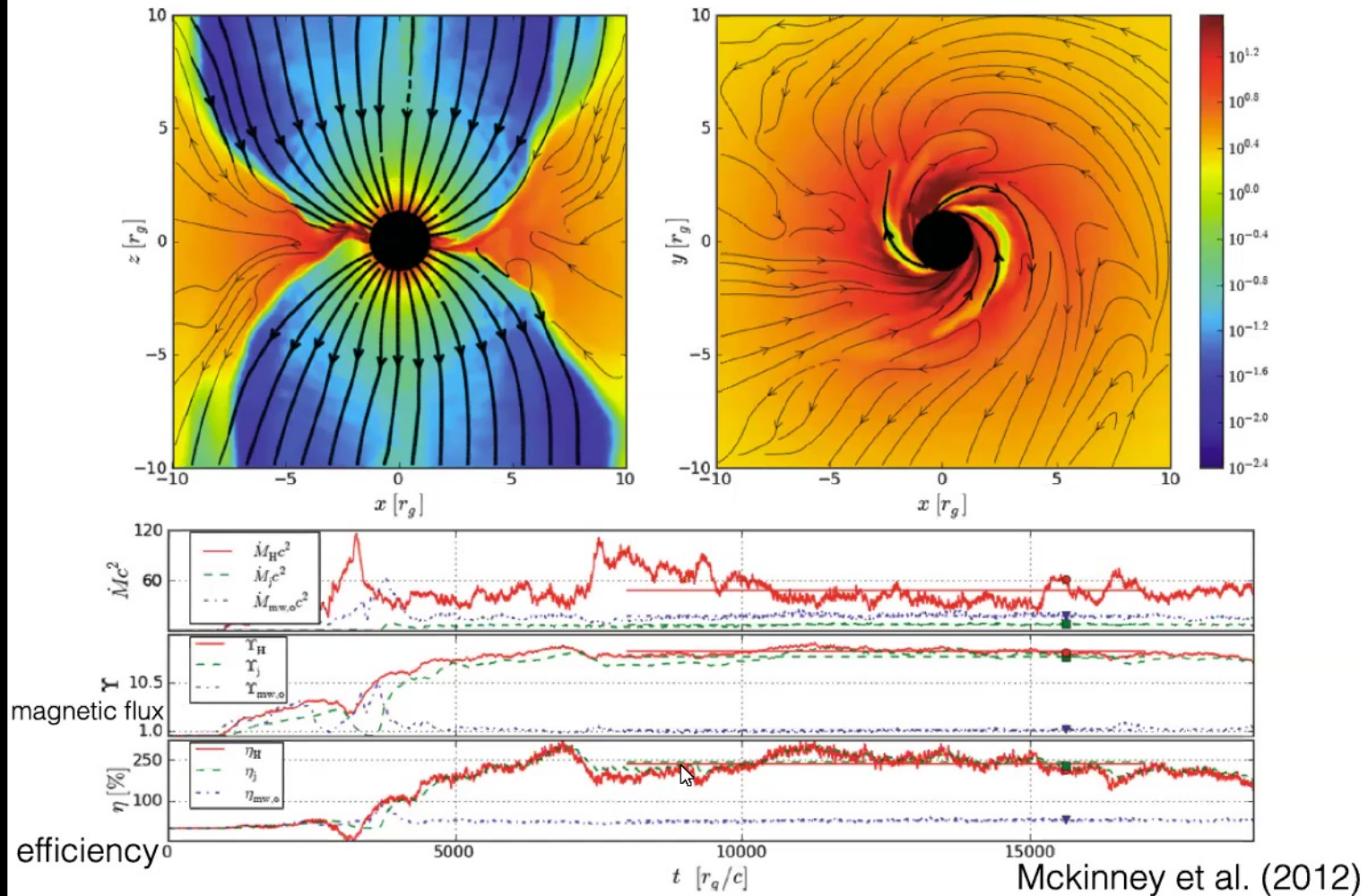
Batta & Ramirez-Ruiz (2020)

BH feedback

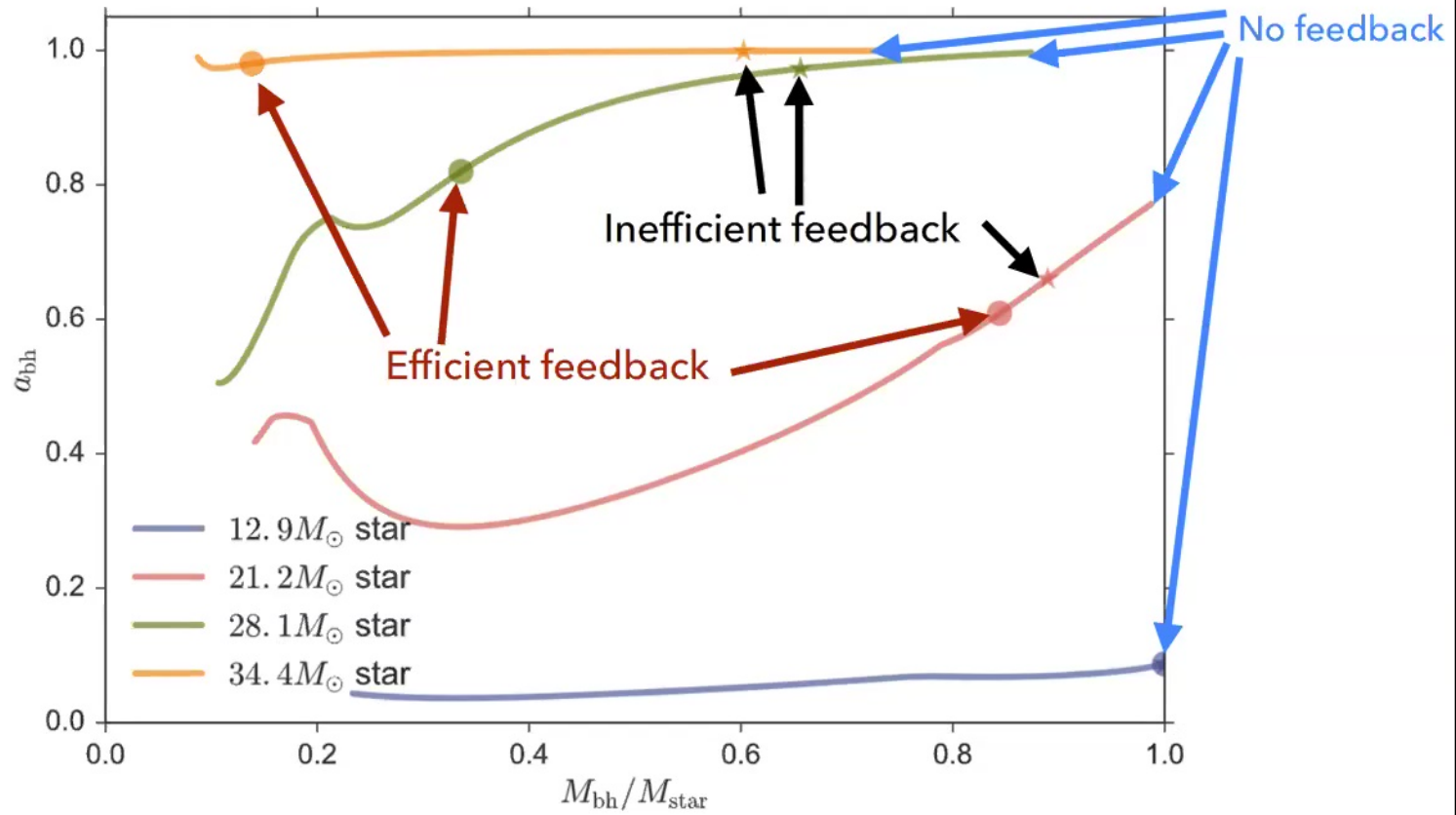


Batta & Ramirez-Ruiz (2020)

Disk efficiency



BH feedback



Batta & Ramirez-Ruiz (2020)

BH feedback

What is the largest rotation rate a star can have before forming an accretion disk?

$$\beta = \frac{\Omega}{\Omega_{\text{break}}}$$

Is it possible to have “disk” formation when $j < j_{\text{isco}}$?

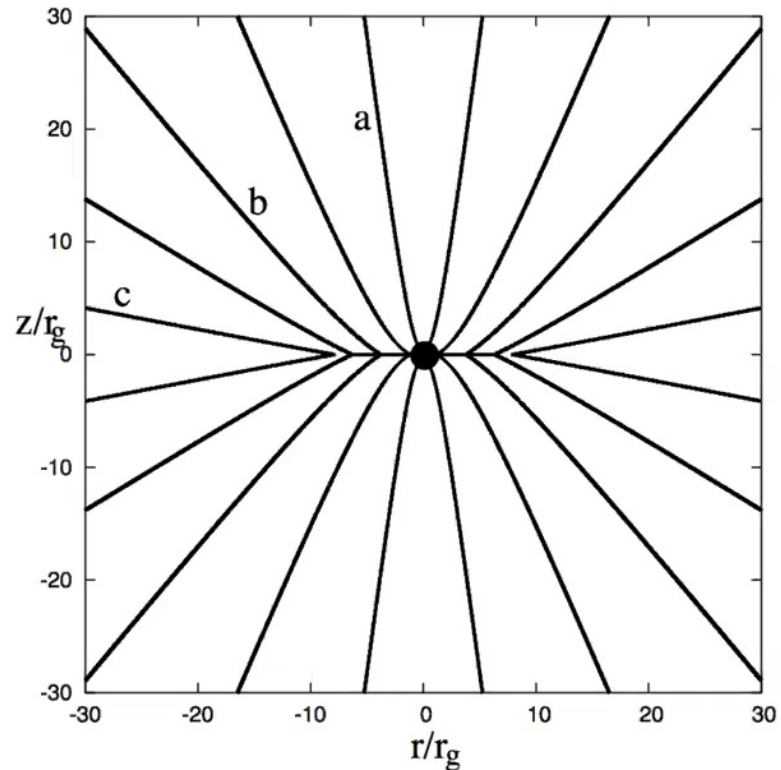
Is disk formation enough to guarantee an efficient feedback?

BH feedback

Trajectories for particles entering a BH

a) No angular momentum:
Directly accreted

c) Have enough angular momentum to stay in orbit

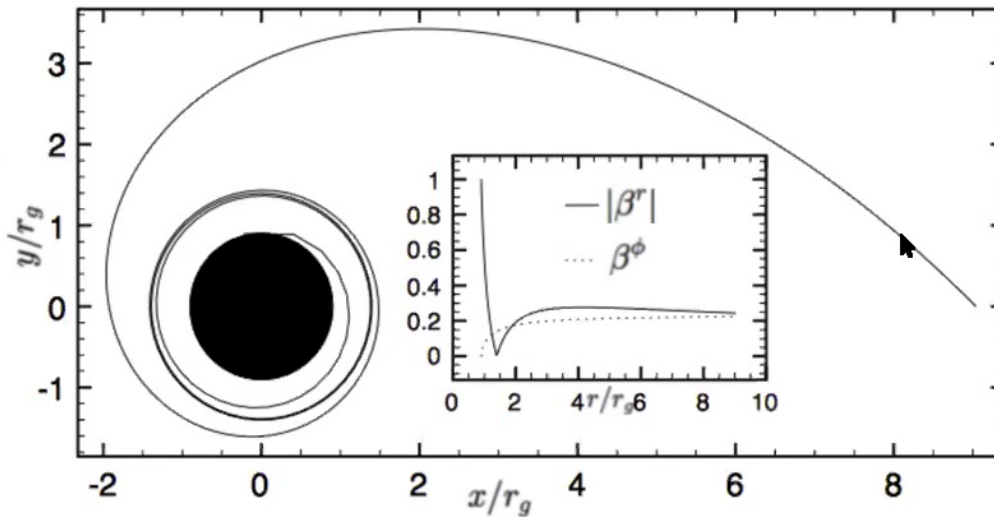


Lee & Ramirez-Ruiz (2006)

BH feedback

Trajectories for particles entering a BH

b) Particles that would be accreted, but cross the equator



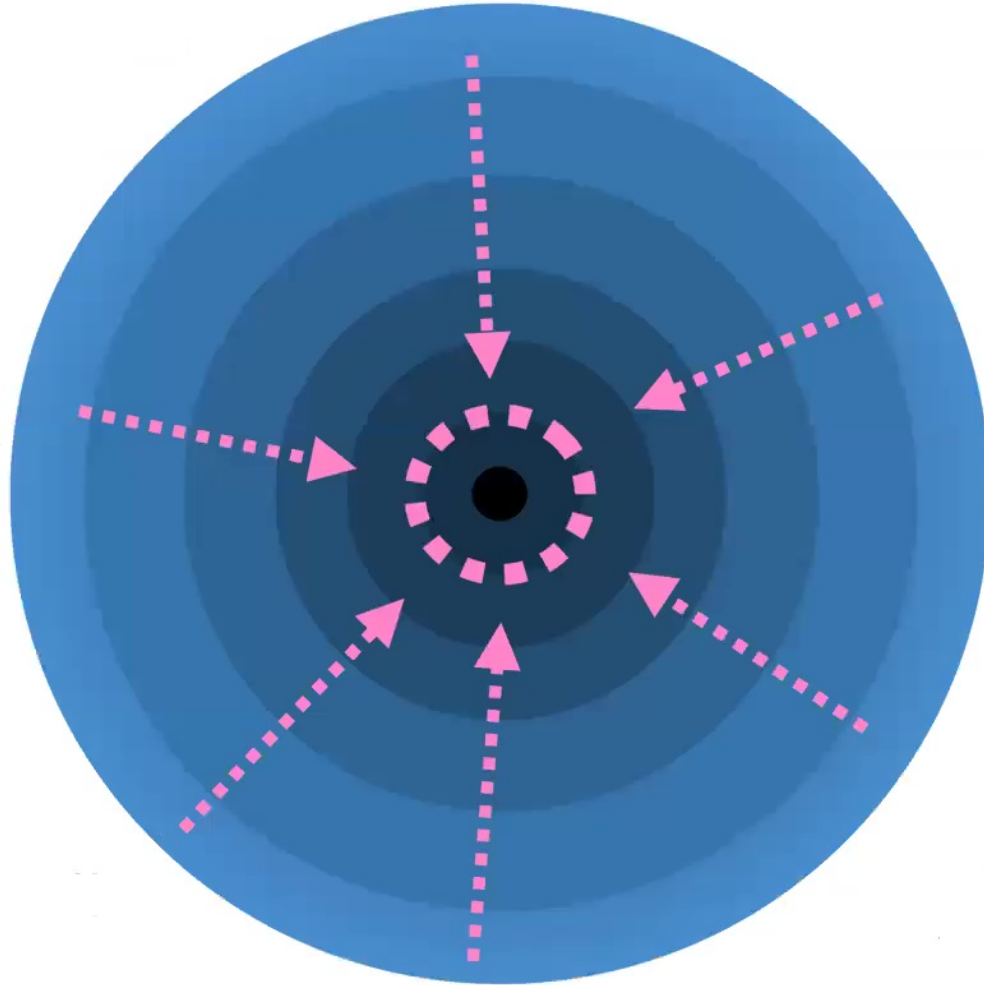
The particles will encounter material from the opposite hemisphere, dissipate energy away and form a thin disk.

Lee & Ramirez-Ruiz (2006)
Zalamea & Beloborodov (2009)
Illarionov & Beloborodov (2001)

Simulation setup

$$G = c = 1$$

$$r_g = \frac{GM_{\text{BH}}}{c}$$



Simulation setup: HARM

HARM: High Accuracy Relativistic
Magnetohydrodynamics

Solves the conservation equations in GRMHD

$$\nabla_{\mu}(\rho u^{\mu}) = 0 \quad \nabla_{\mu}(T^{\mu\nu}) = 0$$

$$G = c = 1$$

$$\text{With } T^{\mu\nu} = T_{\text{gas}}^{\mu\nu} + T_{\text{EM}}^{\mu\nu}$$

Polytropic EOS: $P = (\gamma - 1)u$ $P = K\rho^{\gamma}$
No Magnetic fields

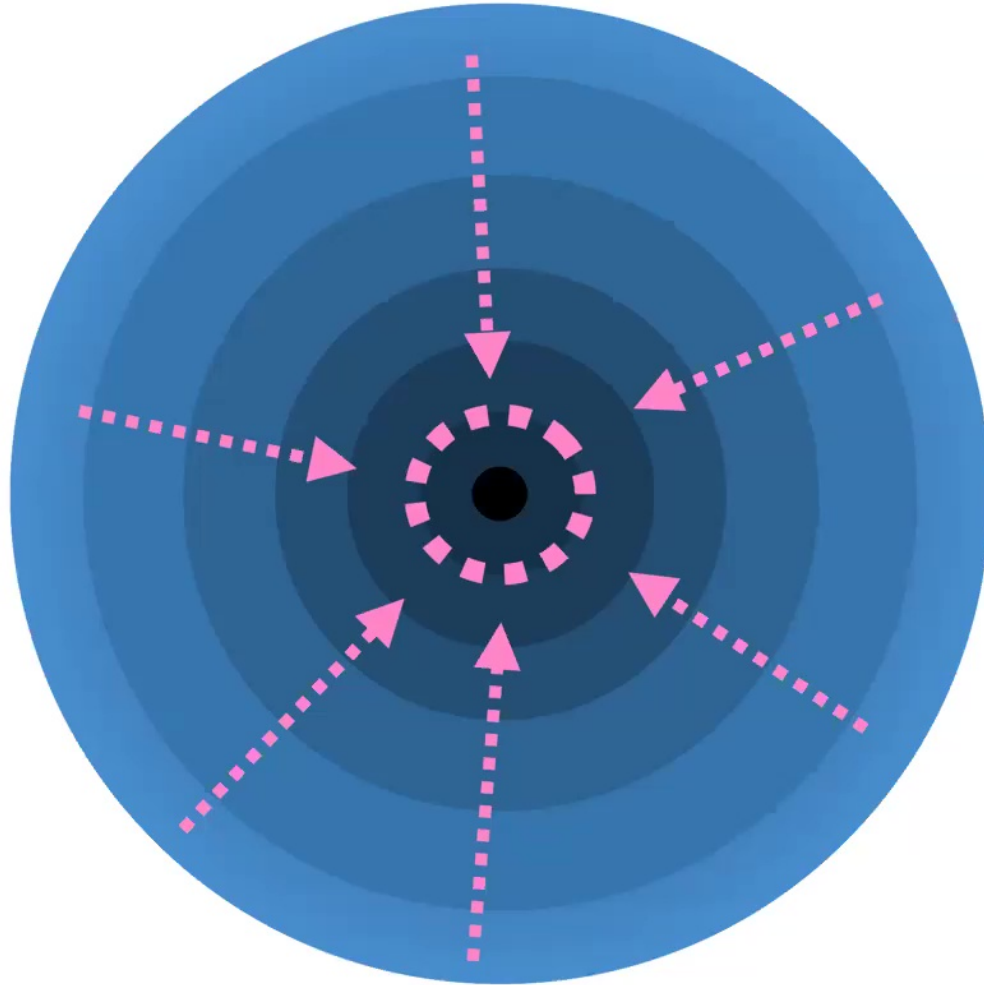
$$\gamma = 4/3$$

Shameless self-promotion:
Neutrinos+tabulated EOS in
HARM added in Murguia-
Berthier et al. in prep

Gammie et al. (2003)
Noble et al. (2006)

Simulation setup

$$G = c = 1$$
$$r_g = \frac{GM_{\text{BH}}}{c}$$



Simulation setup

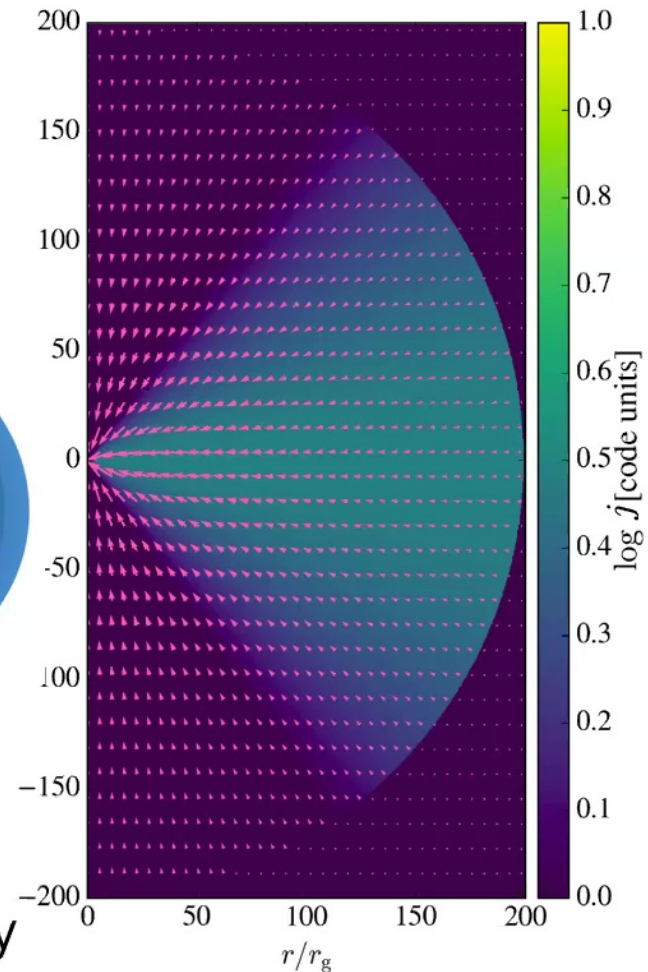
Angular momentum

Assumptions: constant angular momentum as a function of radius

$$j = C j_{\text{isco}} \sin^2 \theta$$

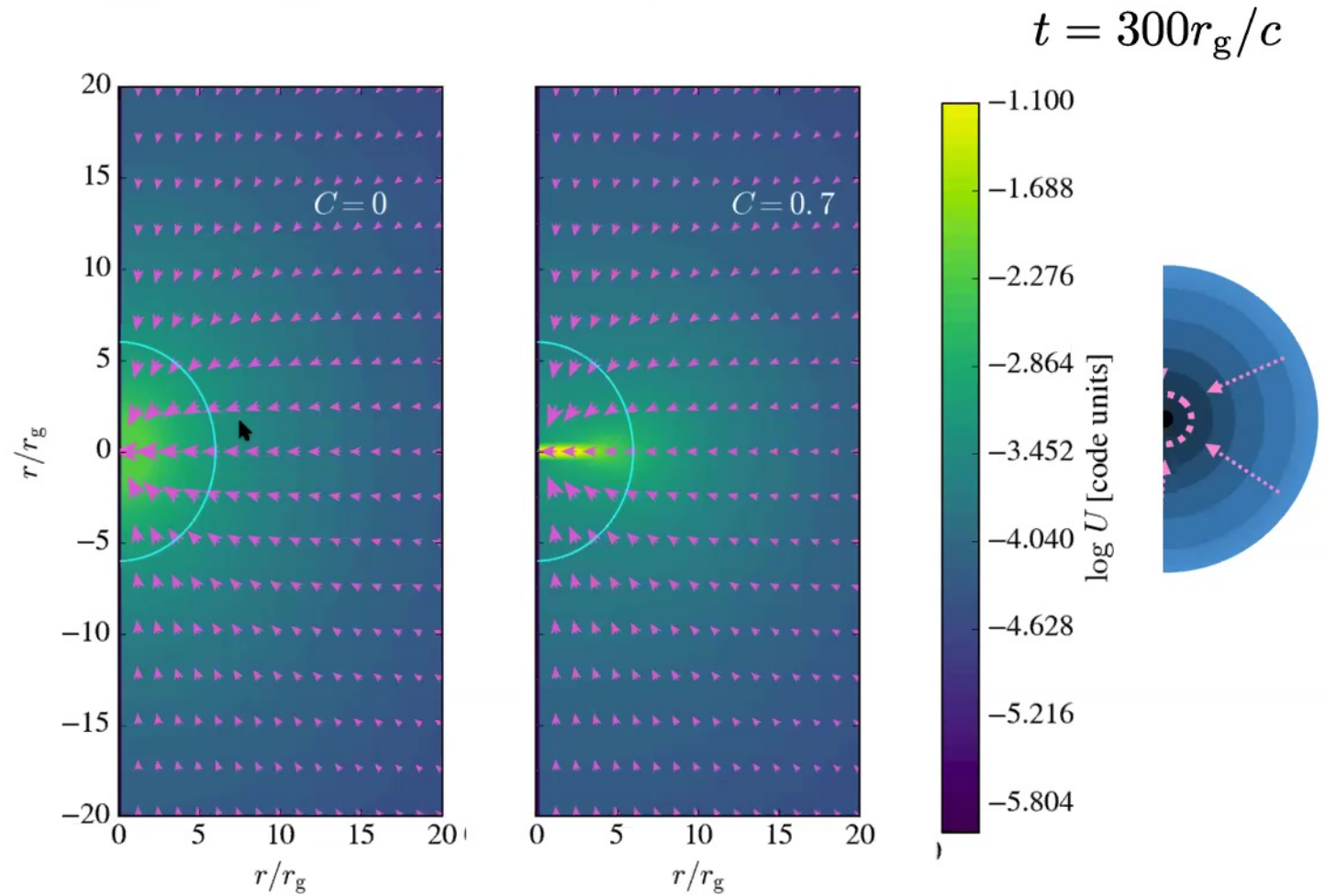
Slowdown parameter

So that the angular momentum smoothly disappears at the boundary



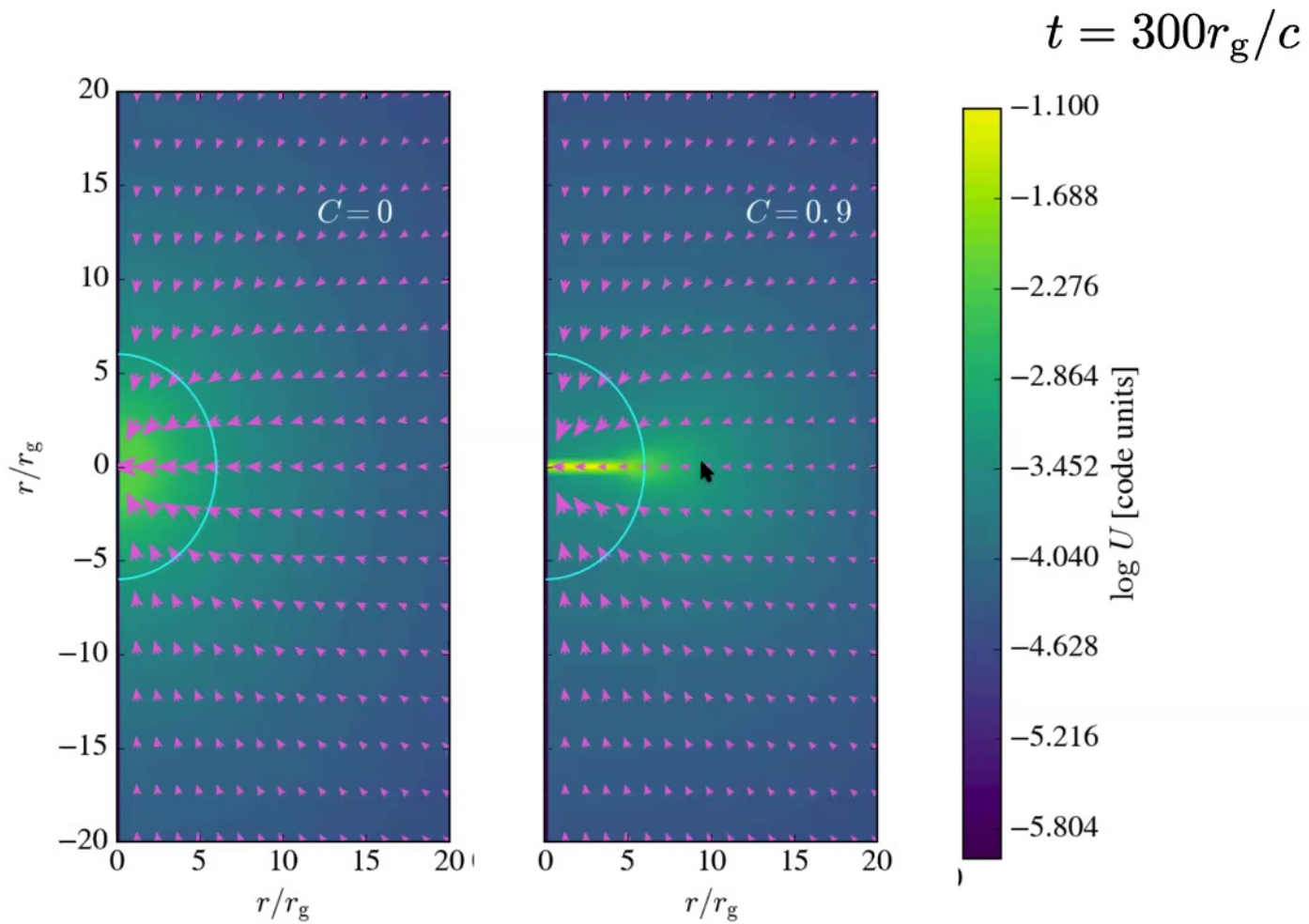
$$C = 0.9$$

Accumulation of matter near the BH



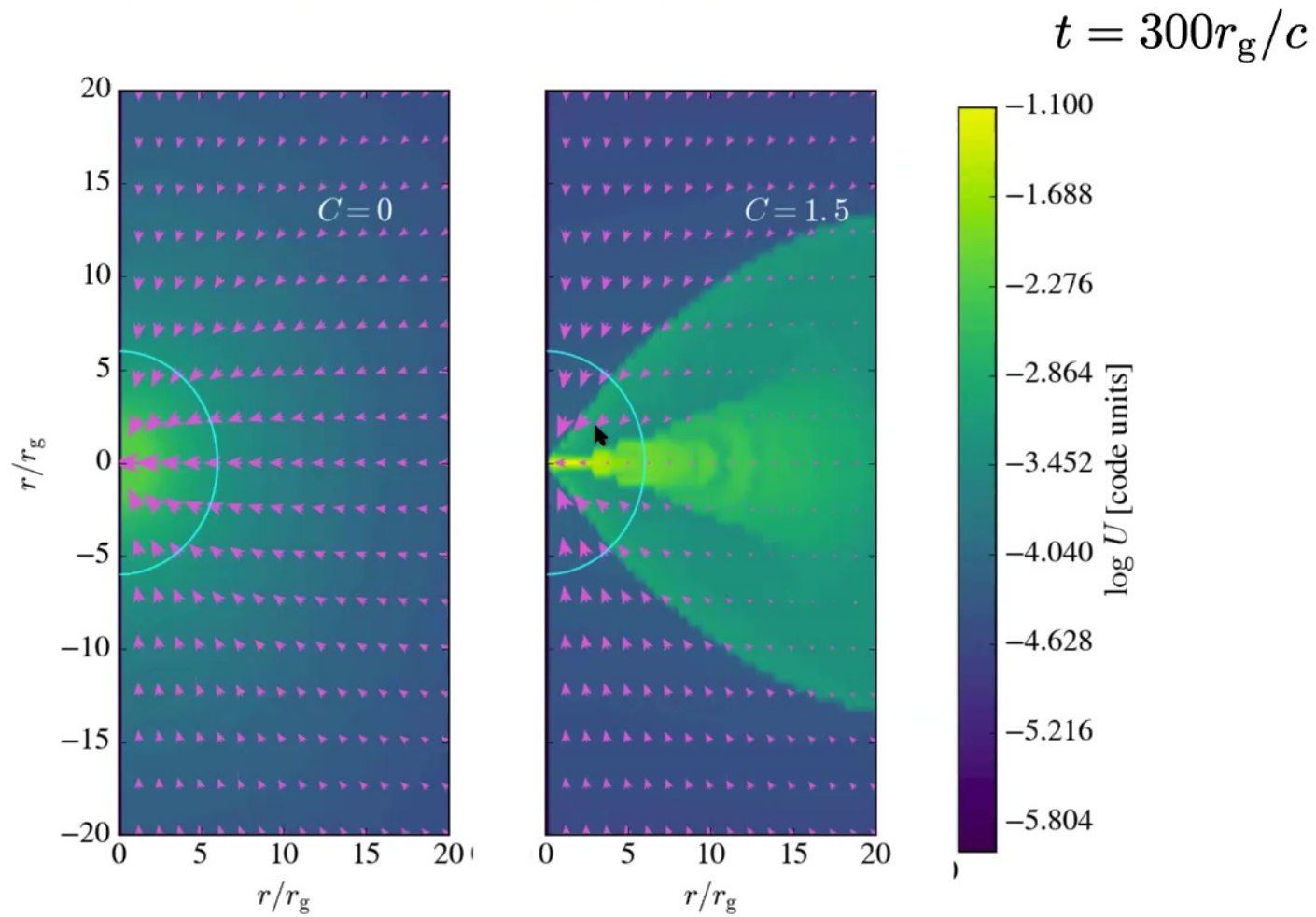
Murguia-Berthier et al. (2020)

Accumulation of matter near the BH



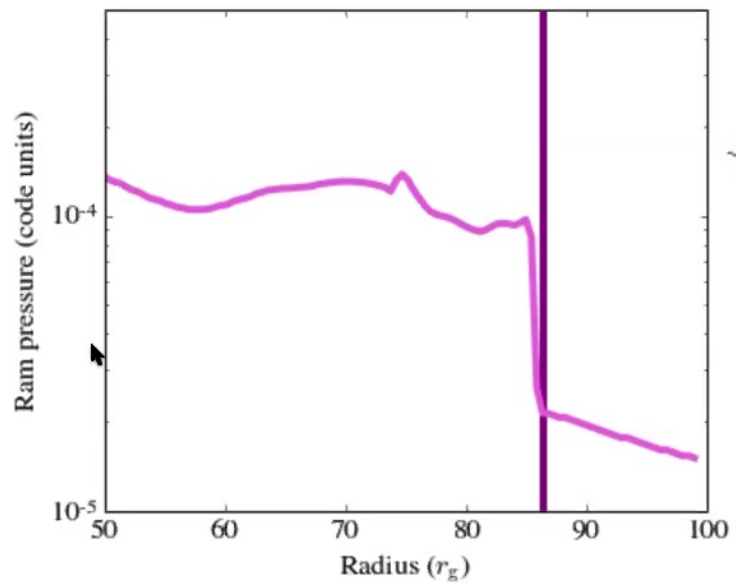
Murguia-Berthier et al. (2020)

Accumulation of matter near the BH

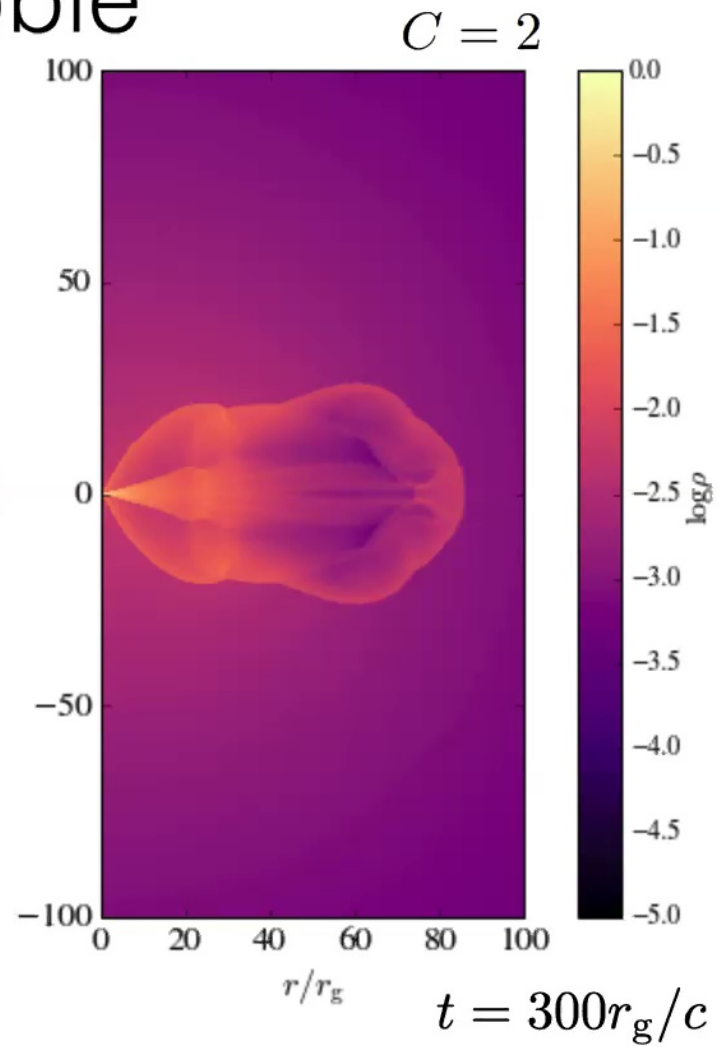


Murguia-Berthier et al. (2020)

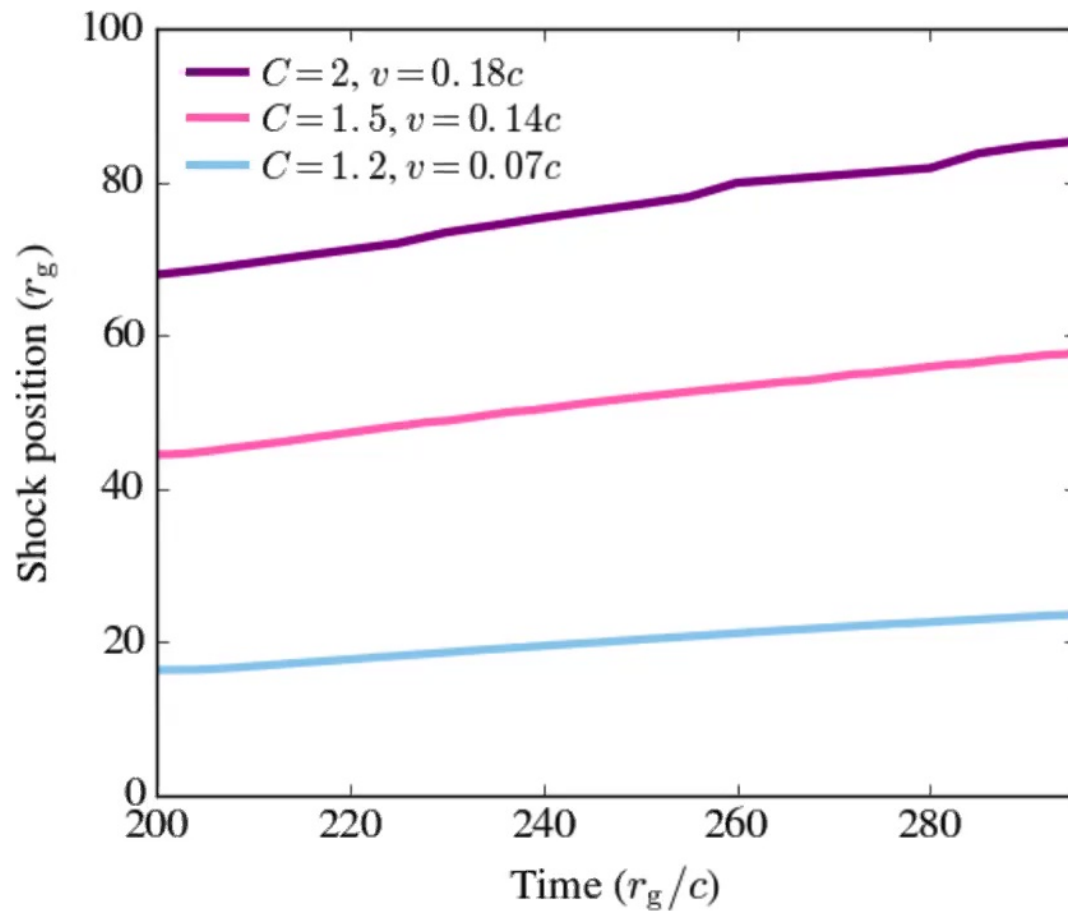
Shock in the bubble



In the equator



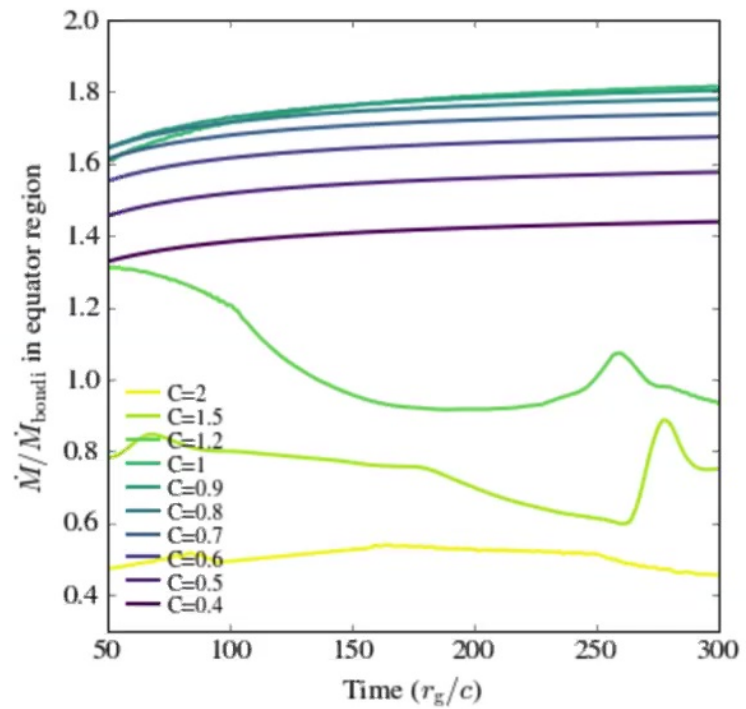
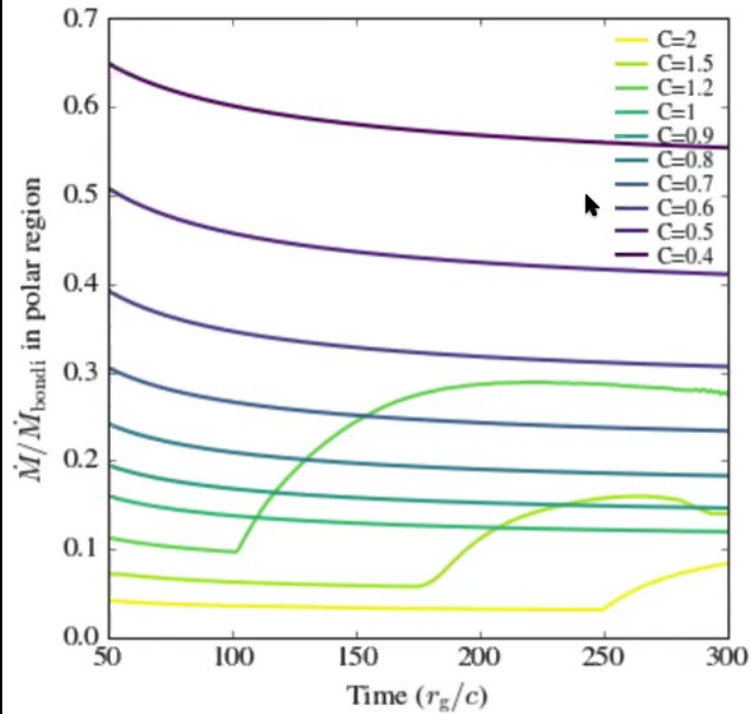
Shock in the bubble



At the edge of
the domain:
 $v = 0.07c$

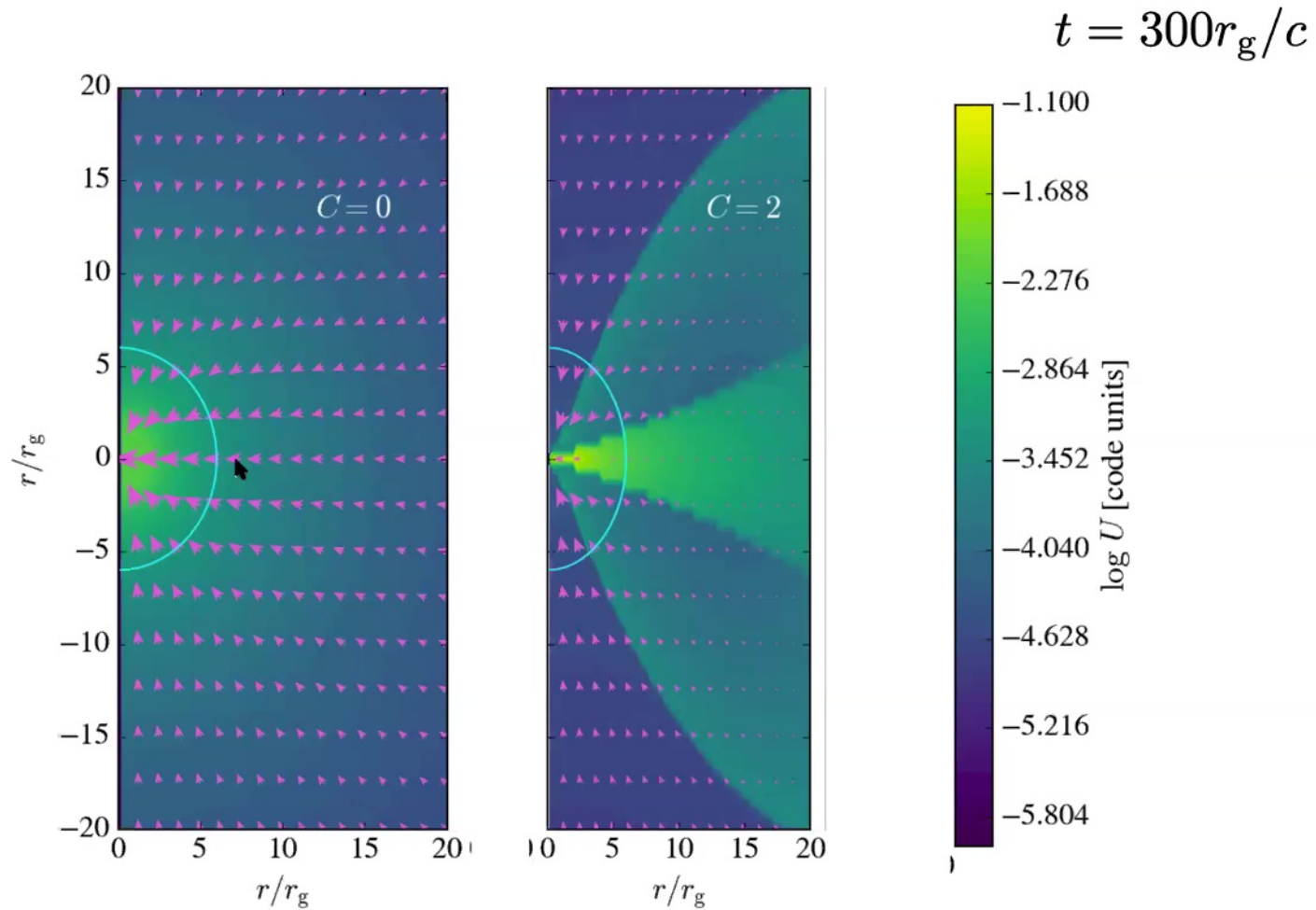
Murguia-Berthier et al. (2020)

Mass accretion rate



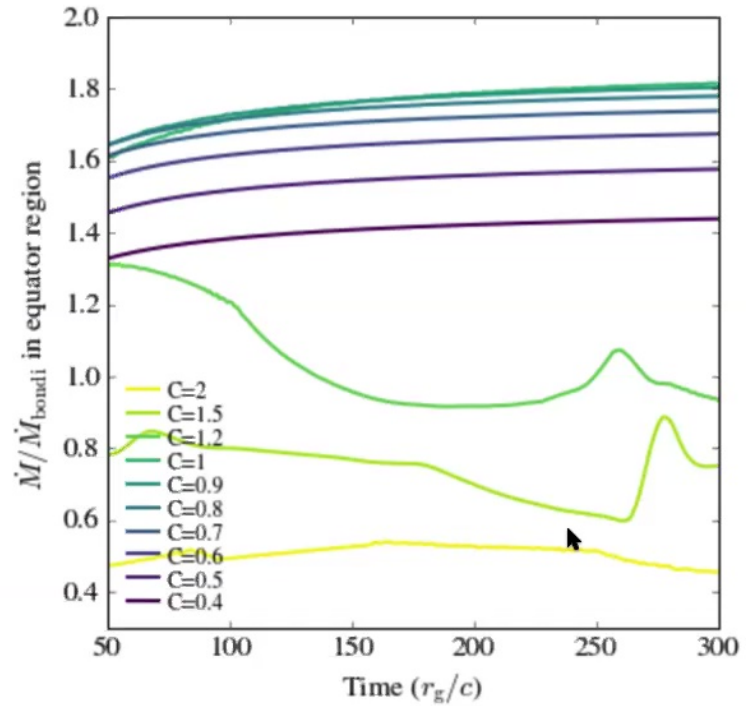
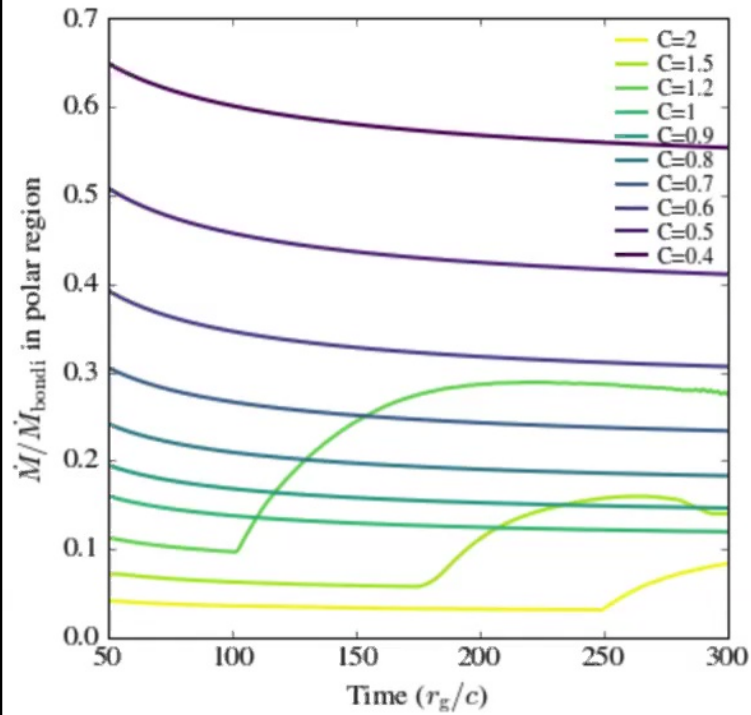
Murguia-Berthier et al. (2020)

Accumulation of matter near the BH



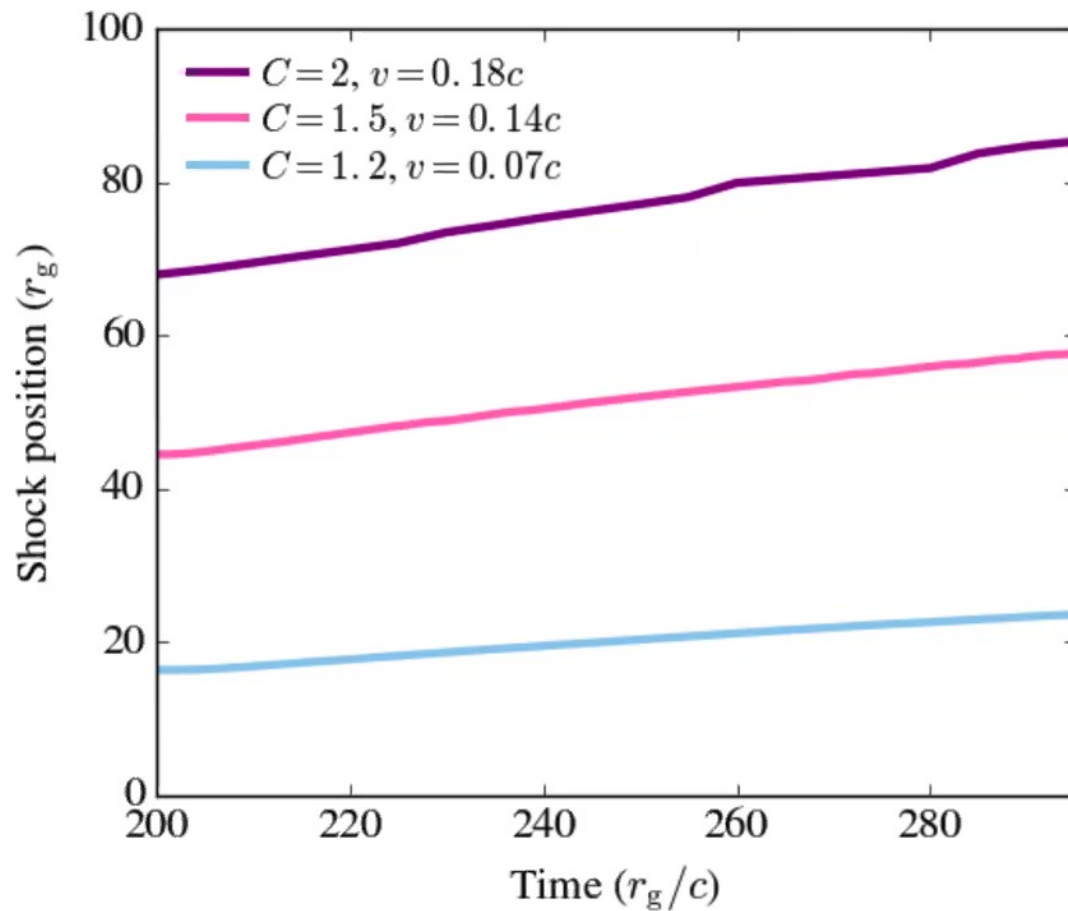
Murguia-Berthier et al. (2020)

Mass accretion rate



Murguia-Berthier et al. (2020)

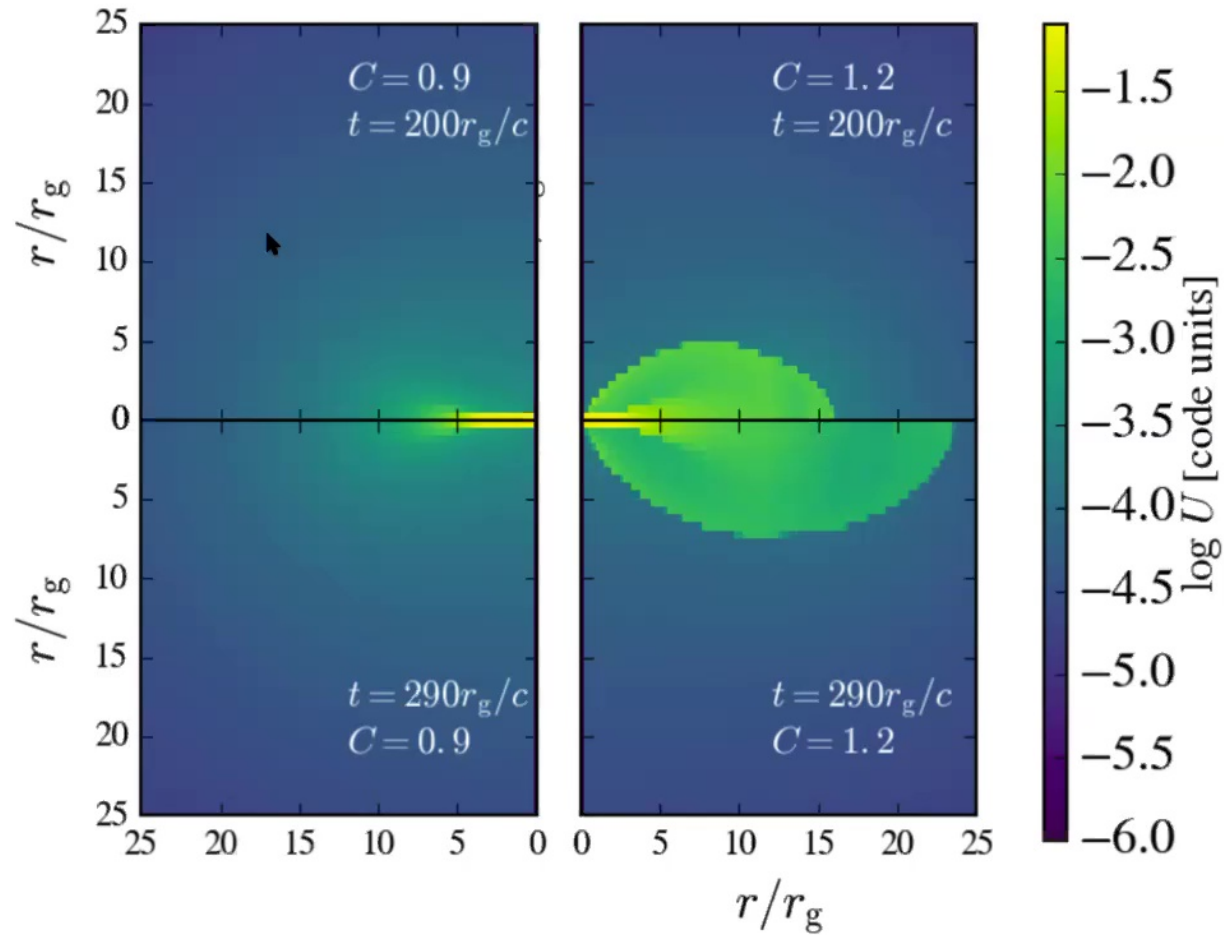
Shock in the bubble



At the edge of
the domain:
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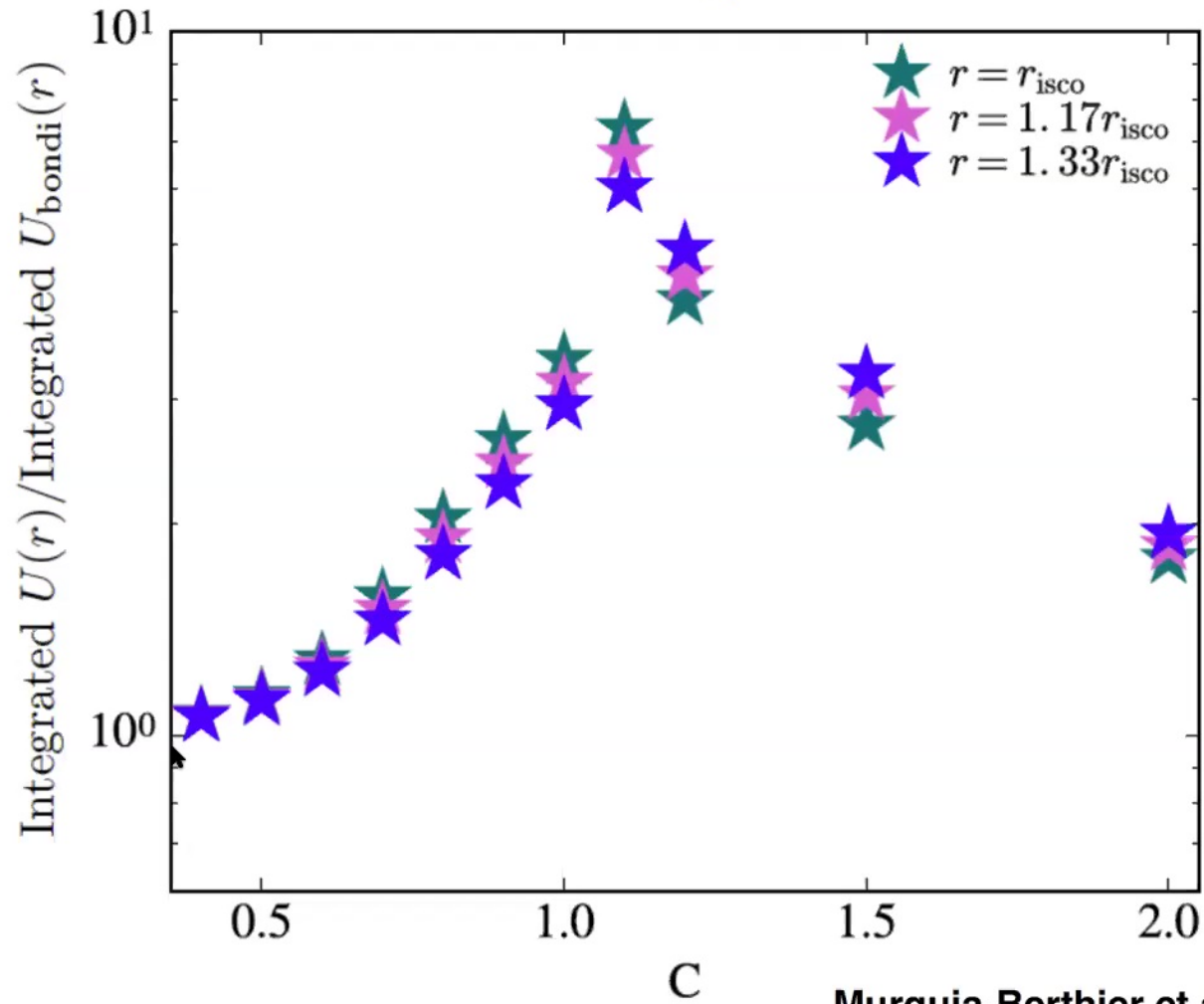
Murguia-Berthier et al. (2020)

Formation of a bubble



Murguia-Berthier et al. (2020)

Energy comparisons



Murguia-Berthier et al. (2020)

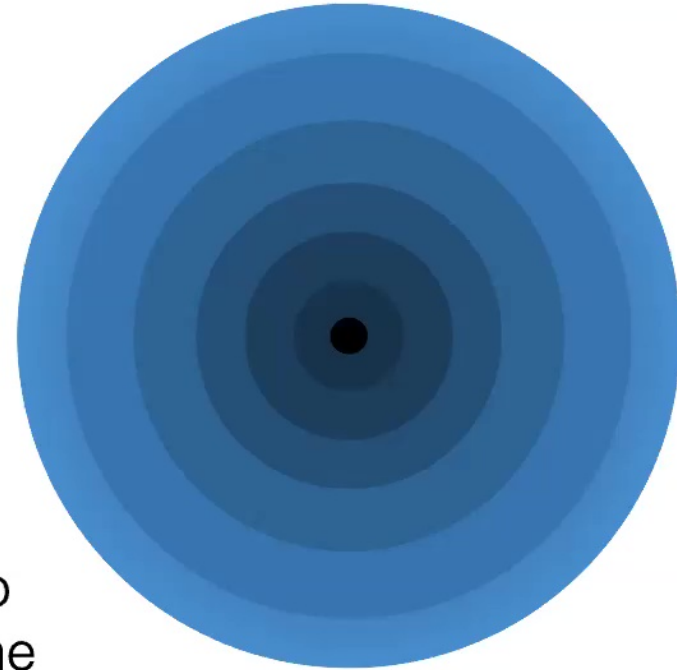
Maximum angular momentum of disappearing stars

For inefficient feedback we
need this to hold at all radii

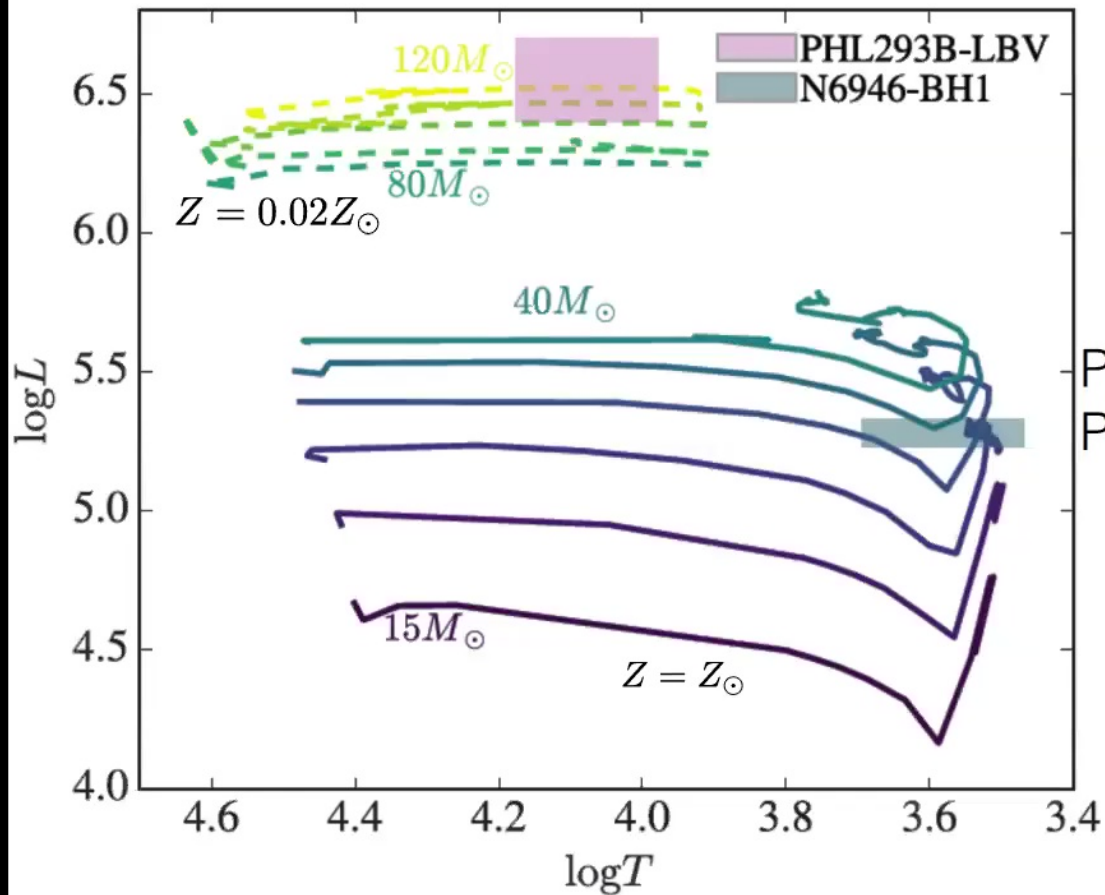
$$j(r) \leq C_{\text{fb}} j_{\text{isco}}(r)$$

$$C_{\text{fb}} = 1.2$$

Note that the angular
momentum at the isco has to
self-consistently change as the
black hole accretes more
shells of material.



Disappearing stars



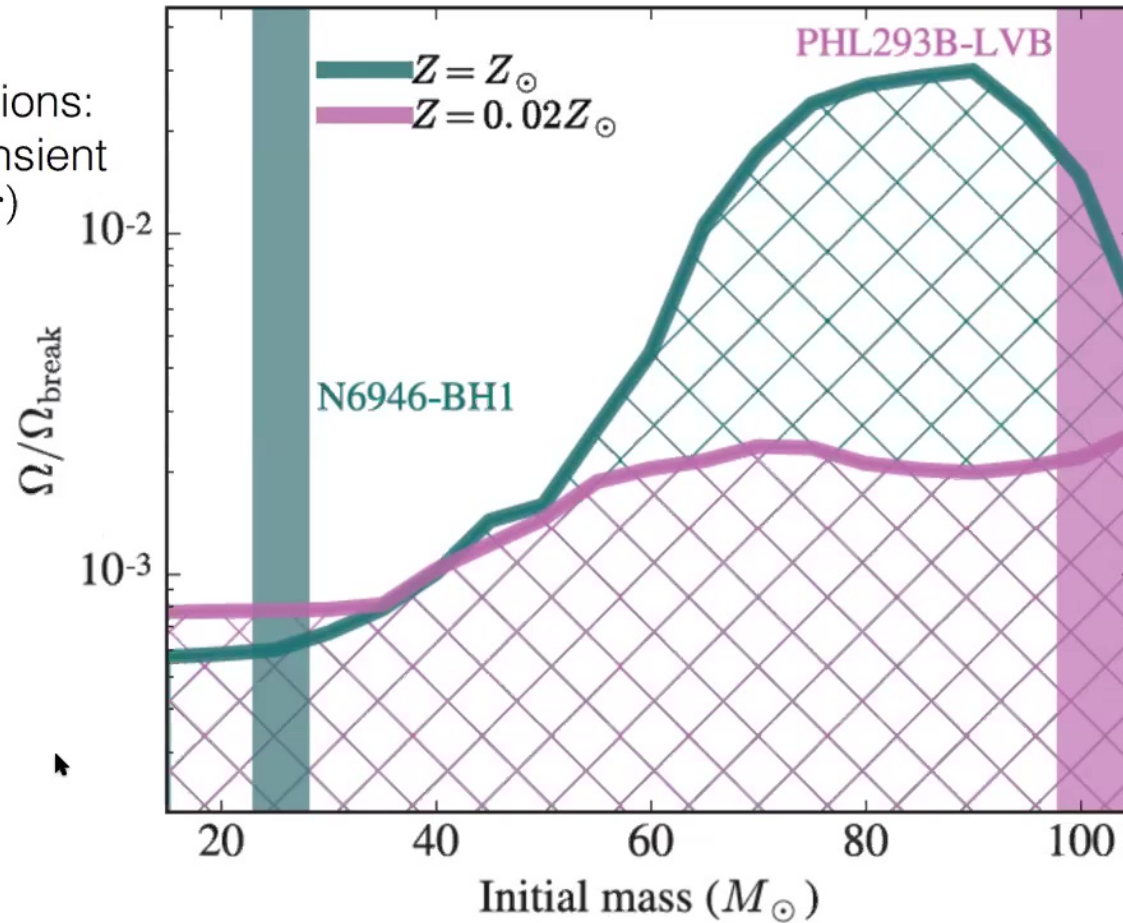
MESA models:
Paxton et al. (2011)
Paxton et al. (2013)

Murguia-Berthier et al. (2020)

Disappearing stars

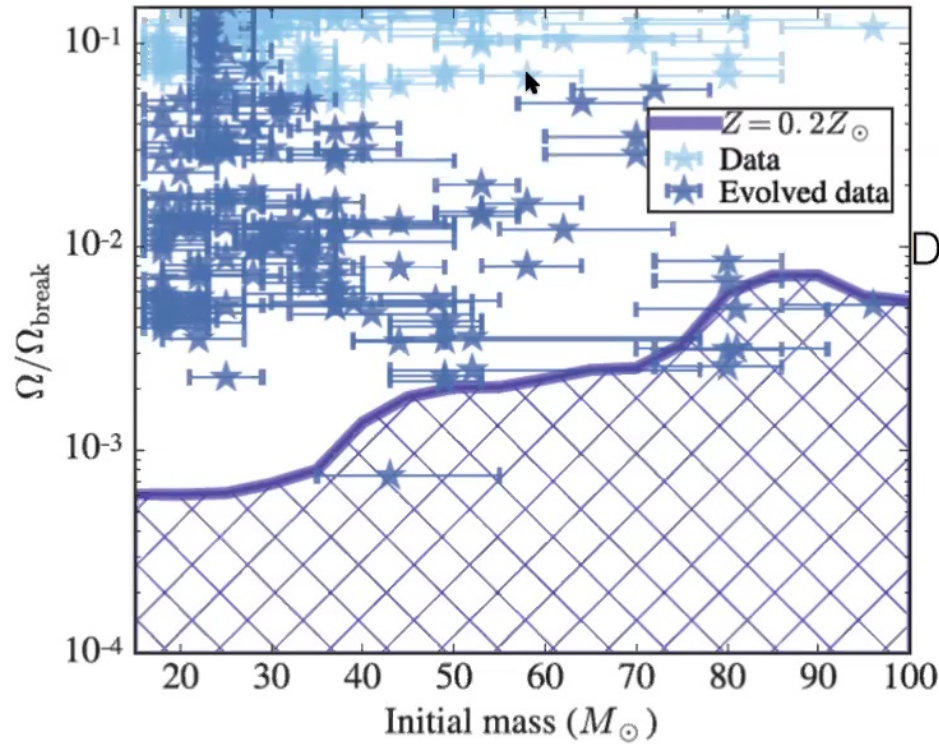
Hatched regions:
No bright transient
 $j(r) \leq C_{\text{fb}} j_{\text{isco}}(r)$
 $C_{\text{fb}} = 1.2$

Note: this is
the angular
velocity



Murguia-Berthier et al. (2020)

Stellar rotation limits

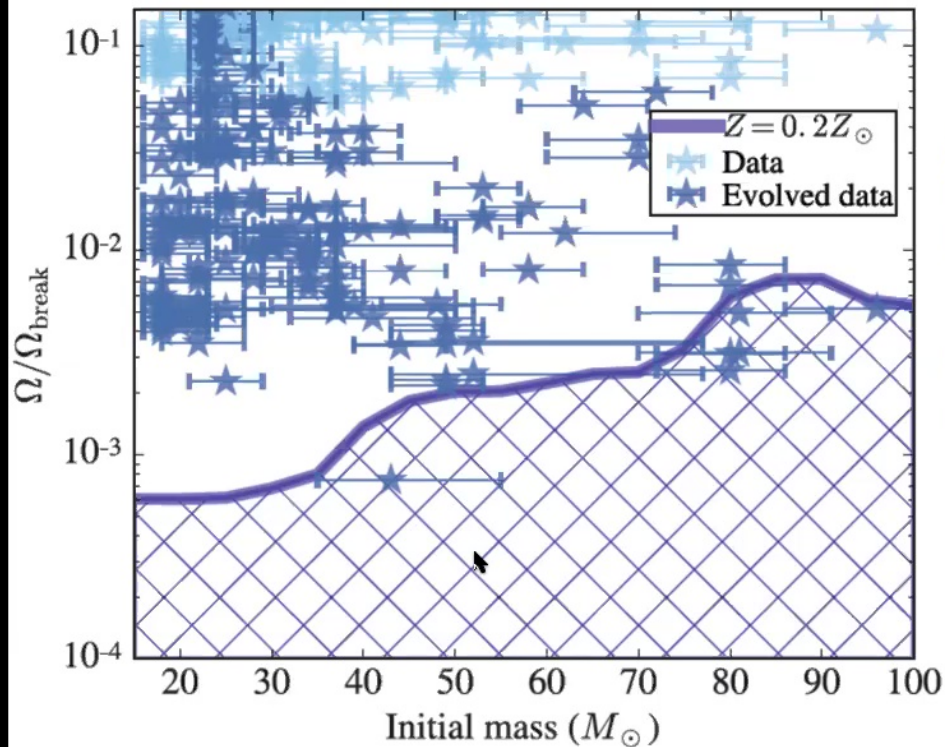


Data from Ramírez-Agudelo et al. (2013), Weidner & Vink (2010)

$$\frac{1}{\Omega} \frac{d\Omega}{dt} = -\frac{1}{I_*} \frac{dI_*}{dt} + \frac{2 R_*^2}{3 I_*} \frac{dM_*}{dt}$$

Murguía-Berthier et al. (2020)

Stellar rotation limits



Around 5% of the stars end up disappearing without a bright transient.

Observational limit (Gerke et al. 2015) is around 7%

Murguia-Berthier et al. (2020)

Also ask me about:

- **GW170817:** Murguia-Berthier et al. (2017a)
- **sGRB: Interaction of relativistic jets with winds:** Murguia-Berthier et al. (2014), Murguia-Berthier et al. (2017b), Murguia-Berthier et al. (2020)
- **Common envelope evolution: flows around the secondary:** Murguia-Berthier et al. (2017c)
- **Adding neutrino+tabulated EOS in HARM3D: post-merger simulations and TCAN collaboration:** Murguia-Berthier et al. in prep (2020)