

Title: Quantum Models of CTCs and a space-based experiment

Speakers: Tim Ralph

Collection: Indefinite Causal Structure

Date: December 12, 2019 - 9:00 AM

URL: <http://pirsa.org/19120042>

Abstract: I will discuss various models of how quantum systems might interact with Closed Time-like Curves and some of the curious effects that can arise. I will then use this to motivate a speculative gravitational decoherence model and describe a recent space-based experiment which made the first test of such models.



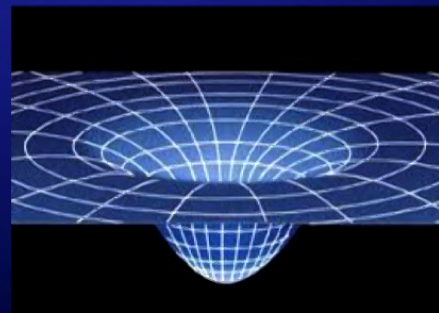
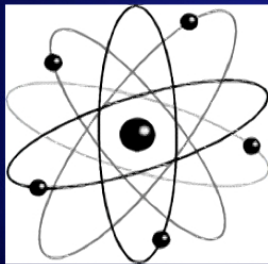
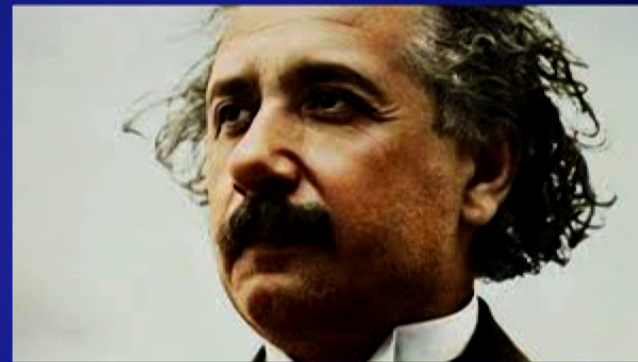
QUANTUM MODELS OF CTCs AND A SPACE BASED EXPERIMENT

T.C.Ralph

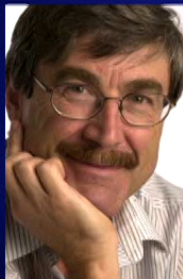
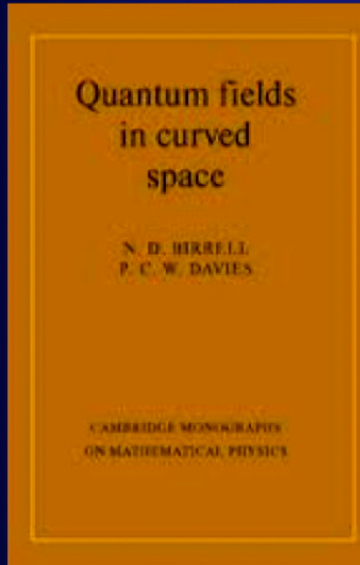
School of Maths & Physics,
University of Queensland



Quantum Mechanics and General Relativity are incompatible at a fundamental level



Standard approach to combining quantum mechanics and general relativity

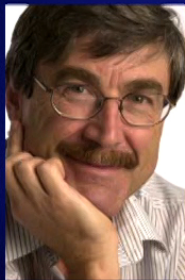
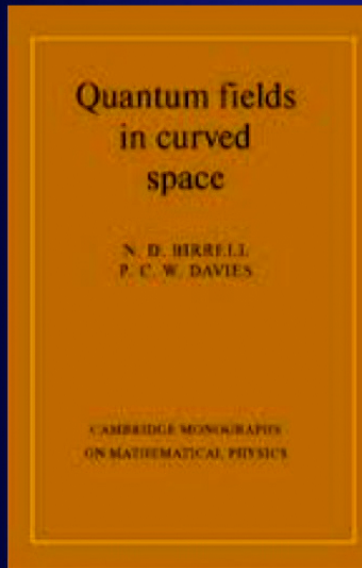


* Quantizes fields on a classical back-ground metric.

* Analogous to semi-classical quantum optics.

but....

Standard approach to combining quantum mechanics and general relativity

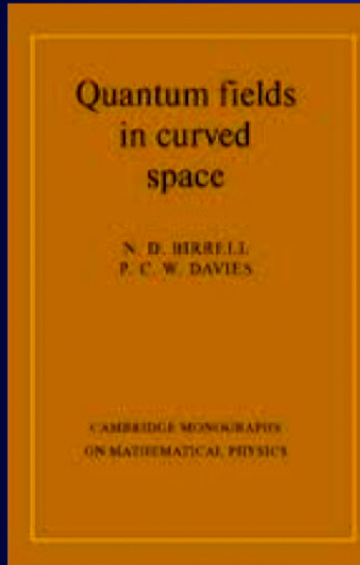


* Analogy with QO breaks because it is not known if the metric can be quantized.

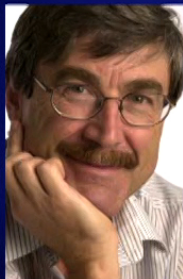
* Calculations can be difficult so untested approximations and assumptions are needed,

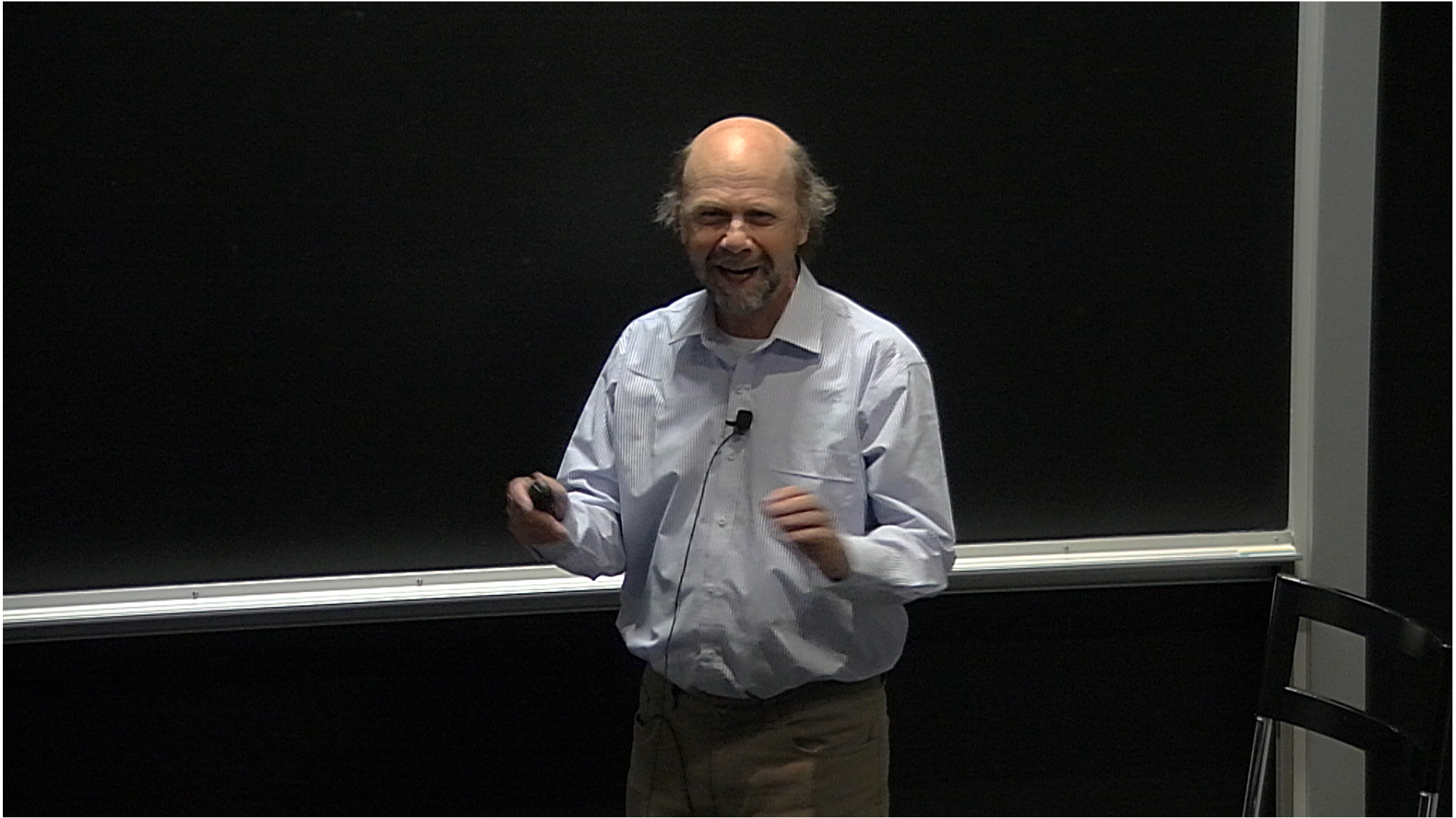
and....

Standard approach to combining quantum mechanics and general relativity



*** There have been virtually no experimental tests!**





Reconciling quantum mechanics and general relativity:

- * Widely believed that General Relativity must change on the microscopic scale to be consistent with Quantum Mechanics

but...

- * Maybe Quantum Mechanics must also change on the macroscopic scale to be consistent with General Relativity

Problems with non-hyperbolic spacetimes:

- * CTCs can lead to paradoxes in classical mechanics

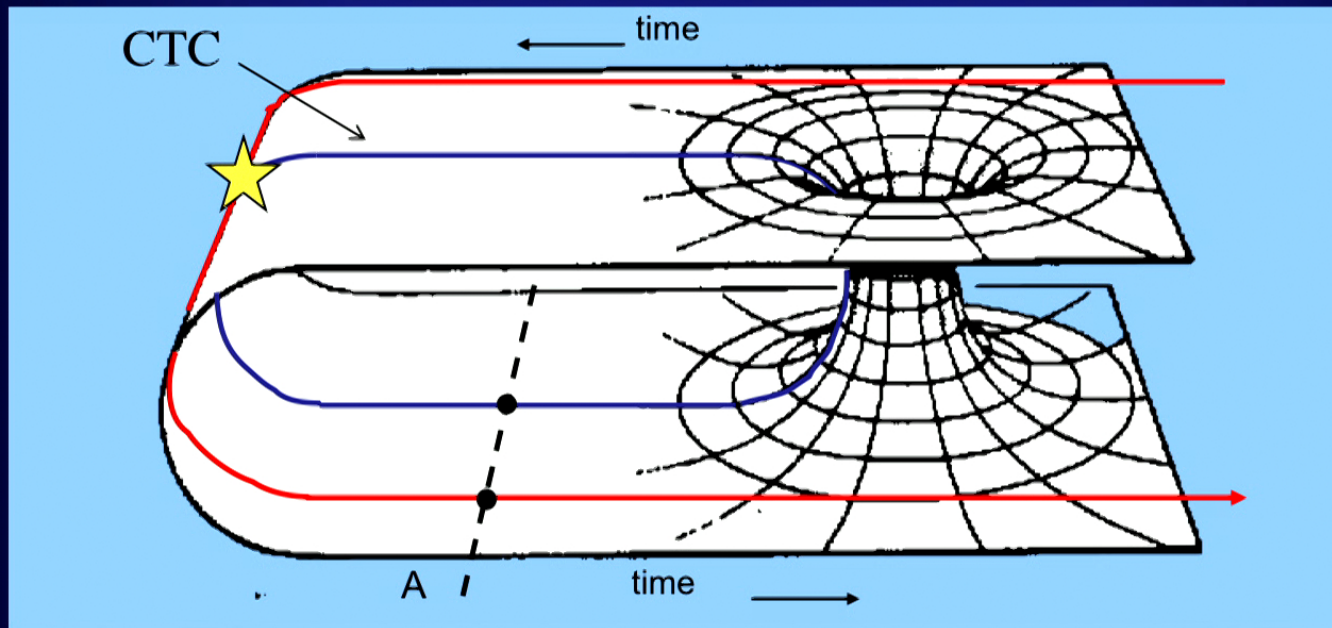
and

- * Quantum field theory is inconsistent with CTCs

Intriguingly it is possible to resolve both issues via a modification to quantum field theory

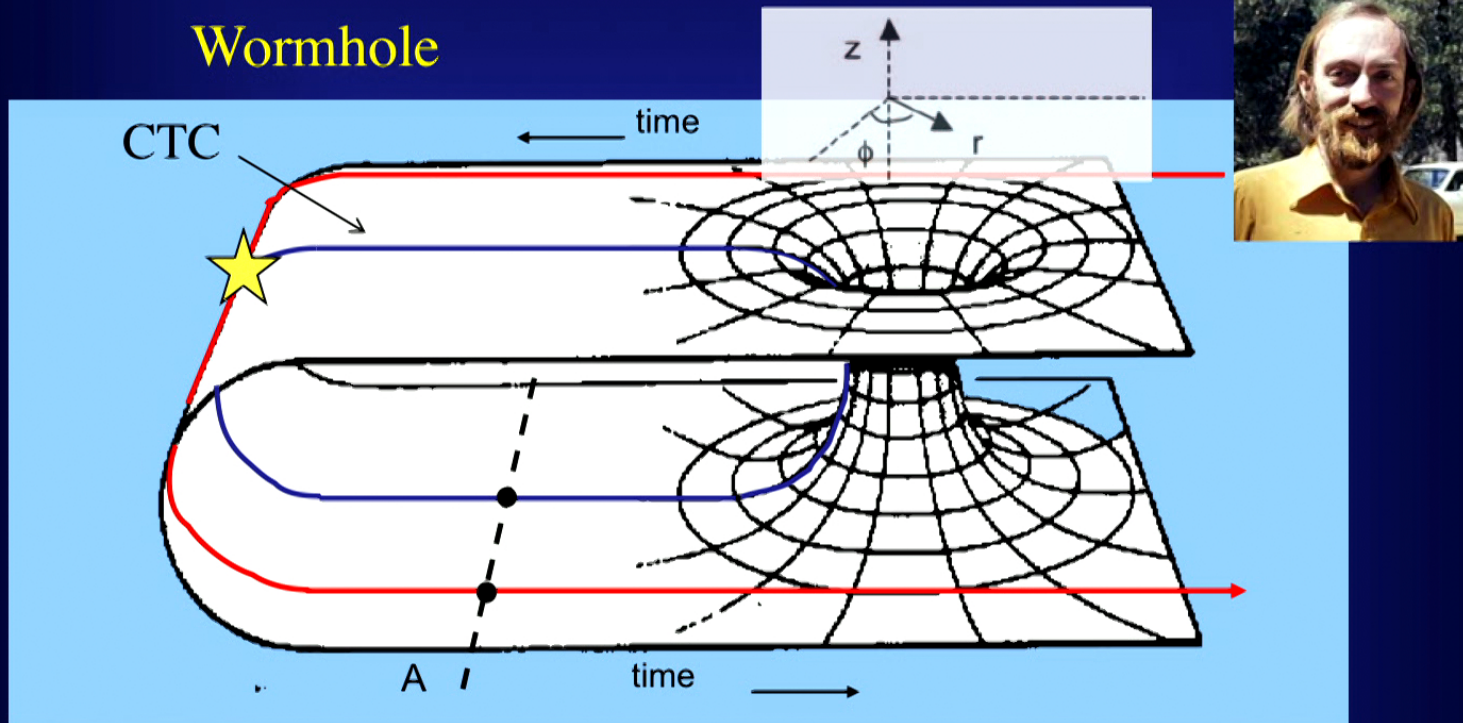
GR allows non-hyperbolic spacetime geometry

Time-like Wormhole



GR allows non-hyperbolic spacetime geometry

Wormhole



$$ds^2 = -\exp(2\Phi) dt^2 + dr^2 \frac{1}{1-b(r)/r} + r^2(d\theta^2 + \sin^2\theta d\phi^2).$$

$$\Phi(r) = 0$$

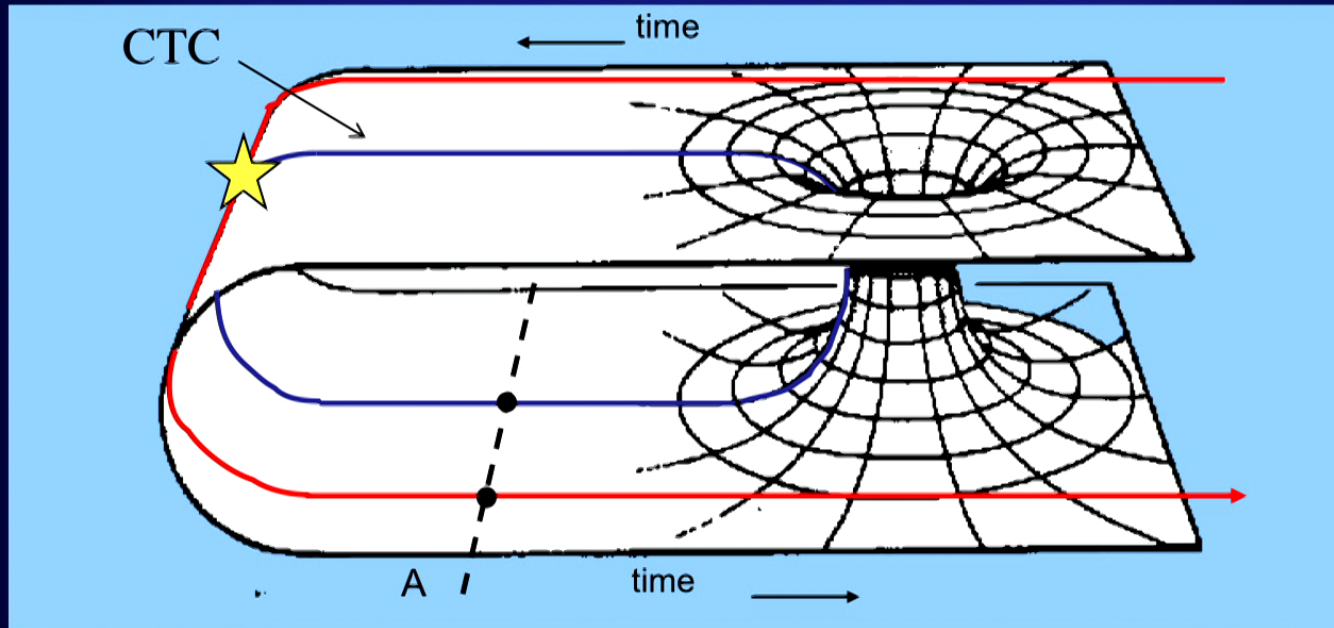
$$b(r) = 0 \text{ for } r > b_0 + a_0$$

$$b(r) = b_0(1 - (r - b_0)/a_0)^2 \text{ for } b_0 < r < b_0 + a_0$$

$$\tau \simeq \pi a_0 / v \gtrsim (a_0/b_0)^{1/2} \text{ s}$$

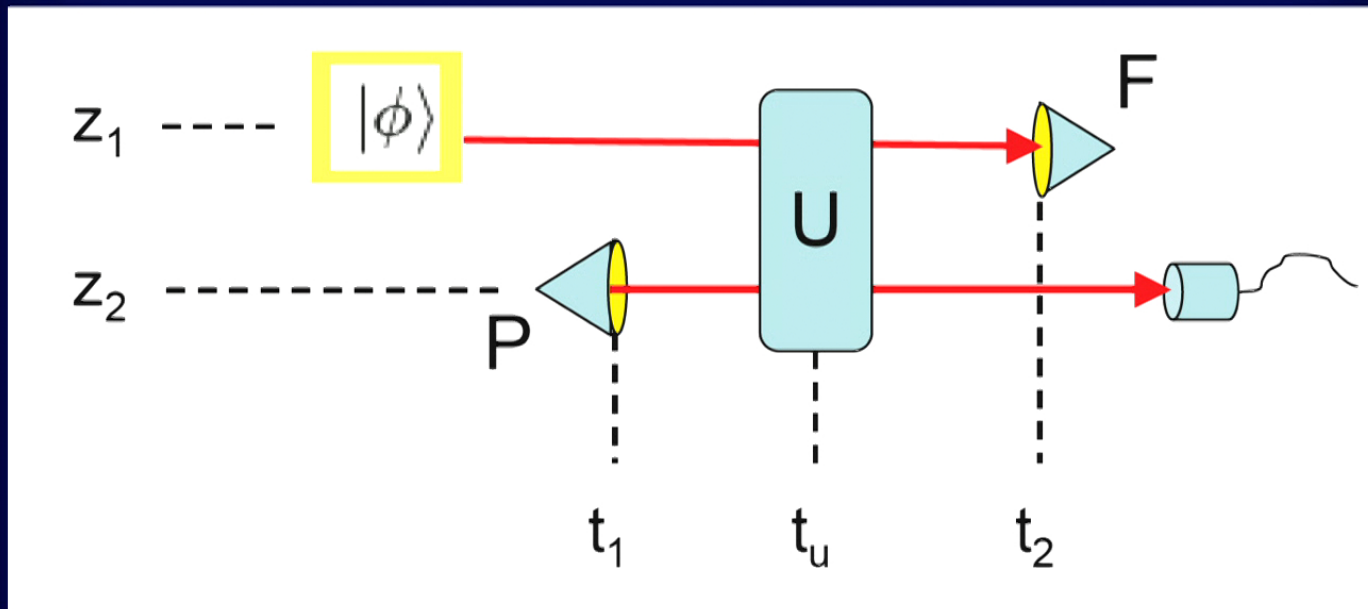
GR allows non-hyperbolic spacetime geometry

Time-like Wormhole

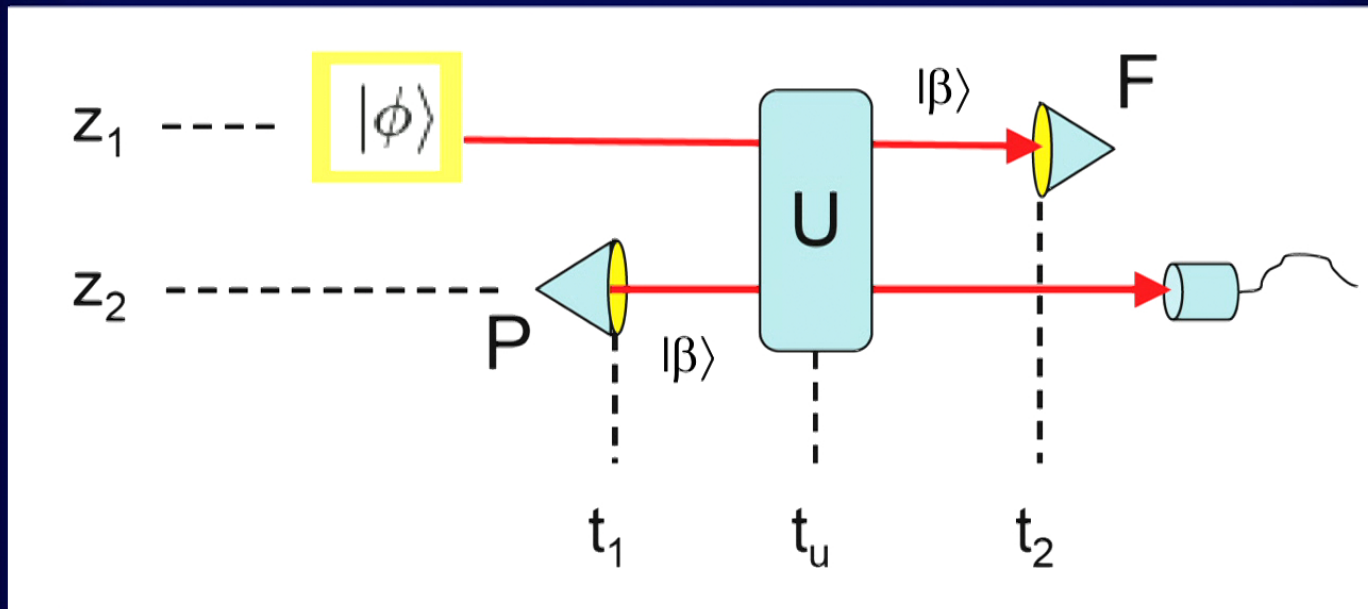


What happens if we place quantum fields on this type of background?

Quantum Mechanics on a Closed Timelike Curve

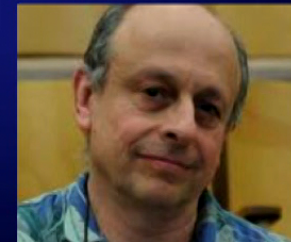


Quantum Mechanics on a Closed Timelike Curve

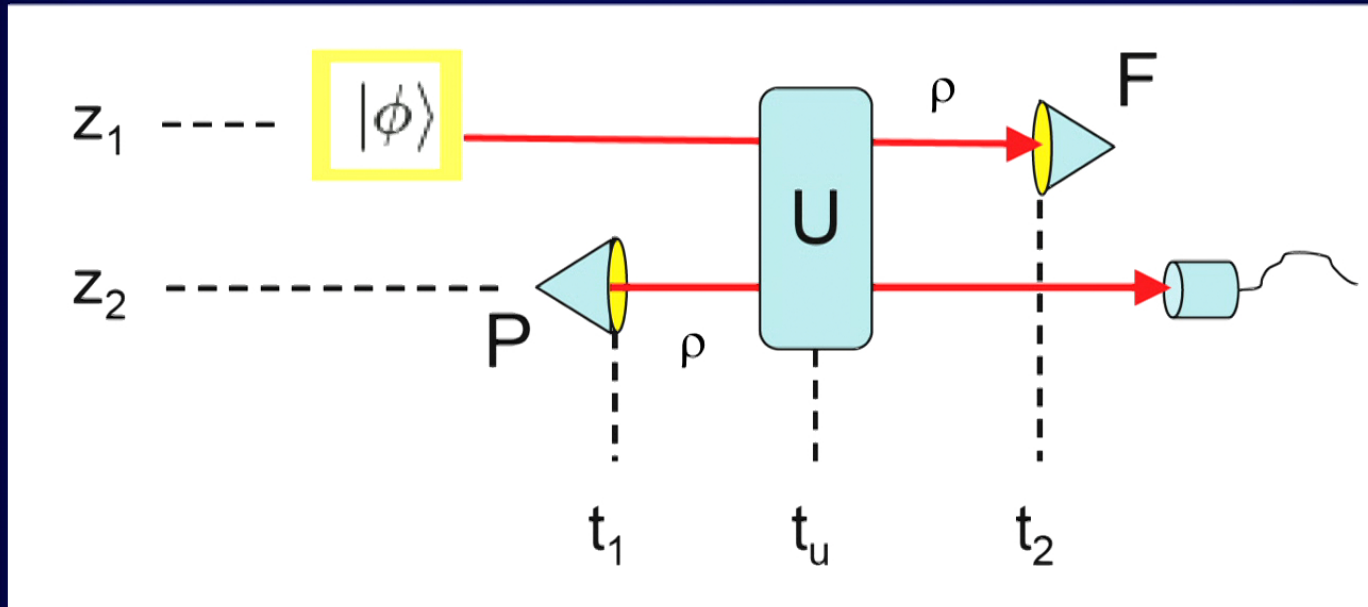


(i) Path integral approach (P-CTC) – match individual trajectories.

(i) H.D.Politzer, Phys.Rev.D, **49**, 3981 (1994)



Quantum Mechanics on a Closed Timelike Curve



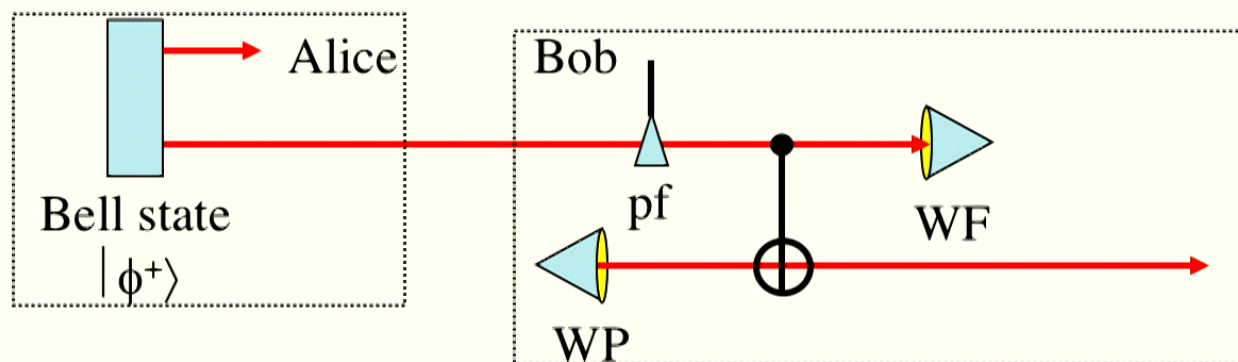
- (i) Path integral approach (P-CTC) – match individual trajectories.
- (ii) Deutsch approach – match reduced density operators.

(i) H.D.Politzer, *Phys.Rev.D*, **49**, 3981 (1994)

(ii) D.Deutsch, *Phys.Rev.D*, **44**, 3197 (1991)

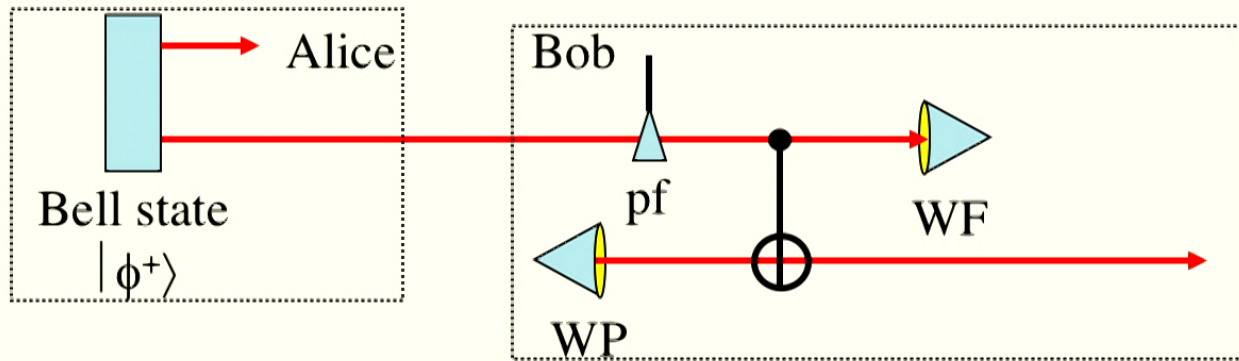


P-CTC Radio to the Past

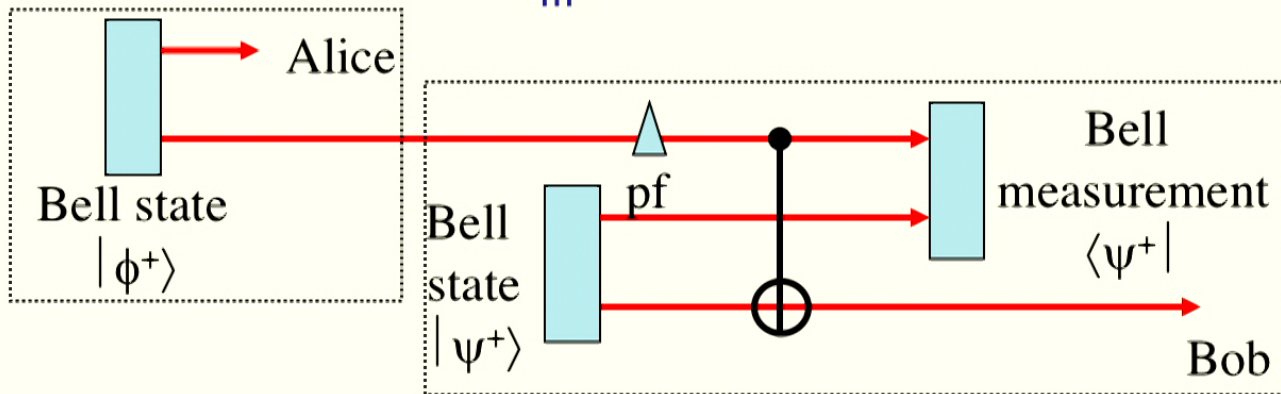


T.C.Ralph, arXiv:1107.4675

P-CTC Radio to the Past

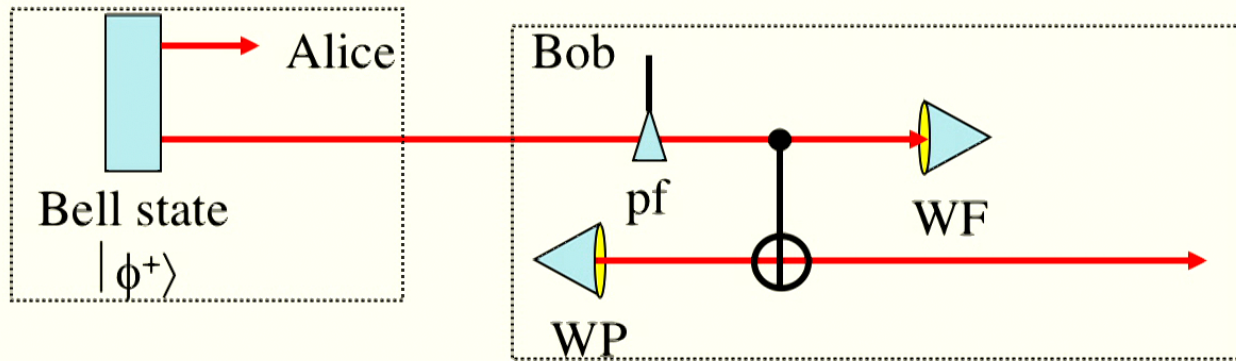


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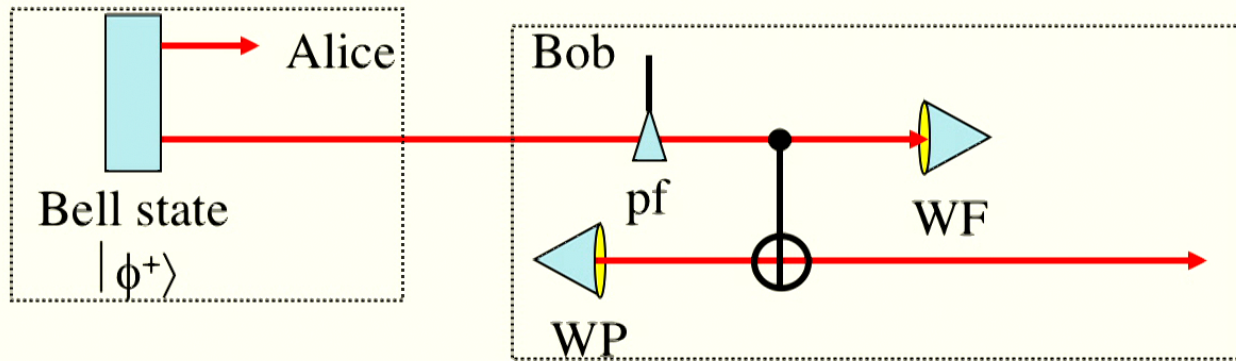
T.C.Ralph, arXiv:1107.4675

P-CTC Radio to the Past



$$\frac{1}{\sqrt{2}} (|0\rangle \pm |1\rangle)_A |0\rangle_B$$

T.C.Ralph, arXiv:1107.4675

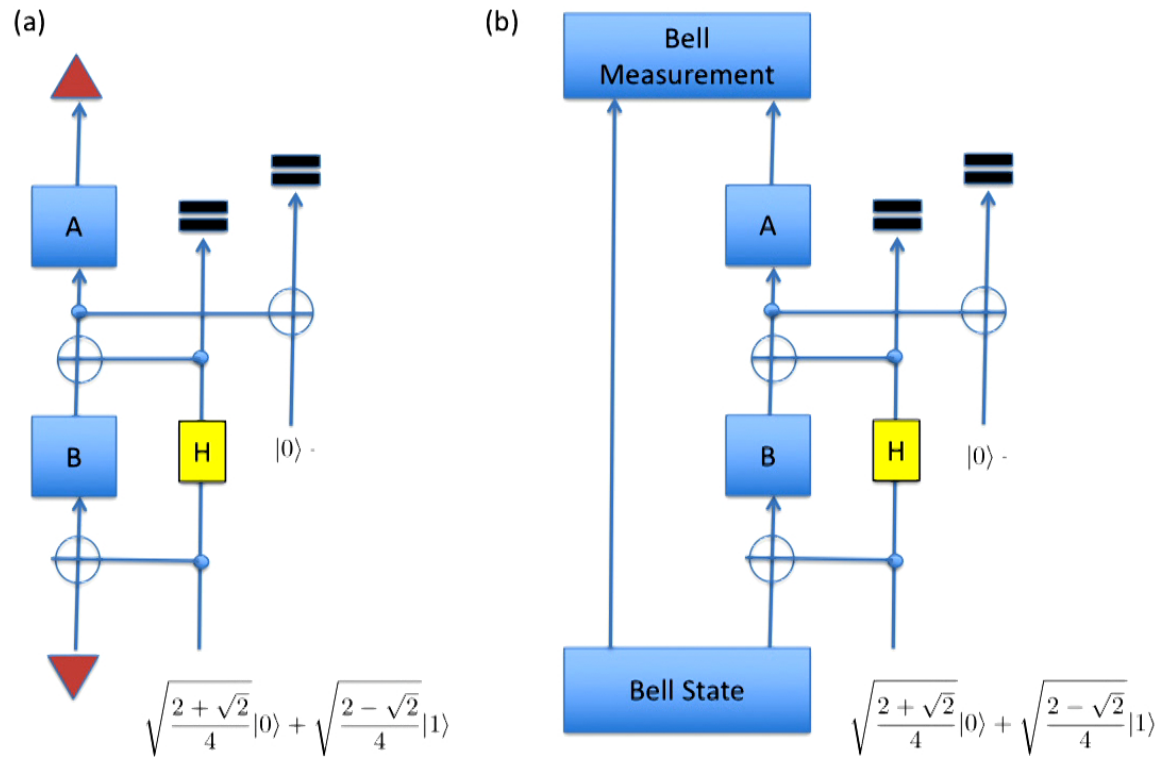


P-CTC $\frac{1}{\sqrt{2}}(|0\rangle \pm |1\rangle)_A |0\rangle_B$

D-CTC

$$\frac{1}{2}(|0\rangle\langle 0| + |1\rangle\langle 1|)_A \otimes \frac{1}{2}(|0\rangle\langle 0| + |1\rangle\langle 1|)_B$$

P-CTC as a component in indefinite causal circuits



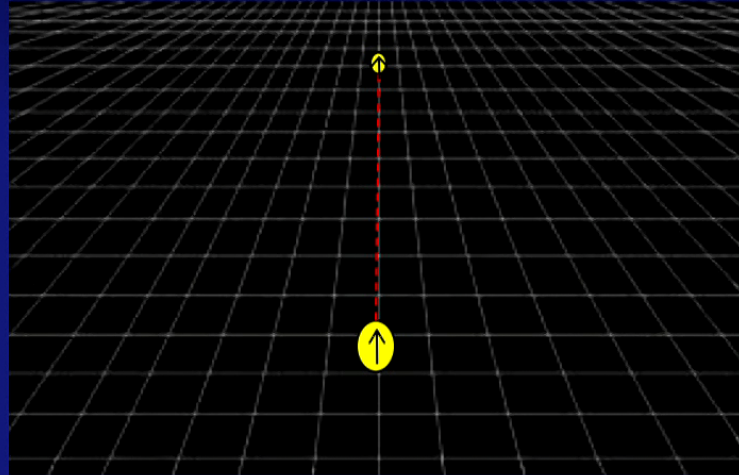
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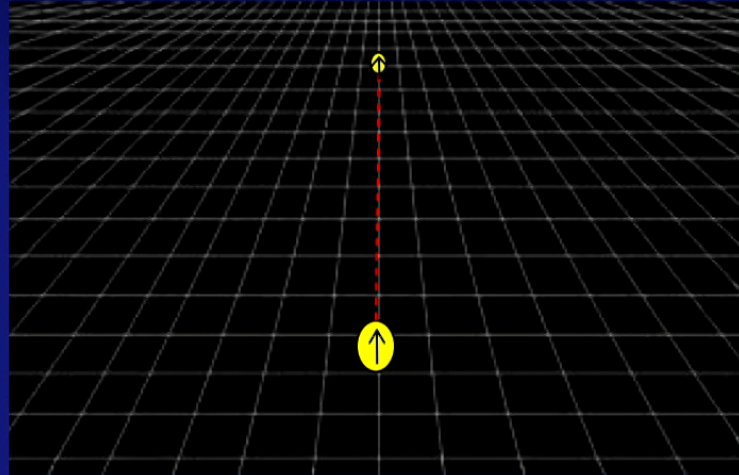
- * Maybe Quantum Mechanics must also change on the macroscopic scale to be consistent with General Relativity

Example: range of entanglement

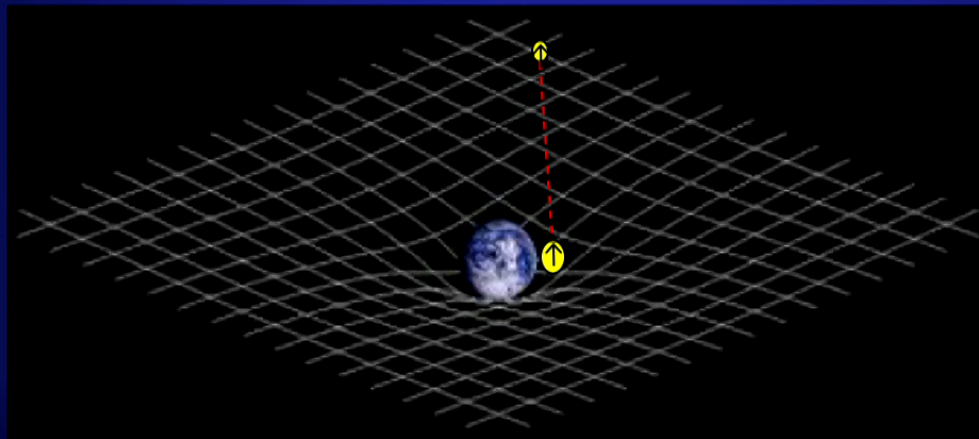


**infinite
range of
entanglement
in special
relativity**

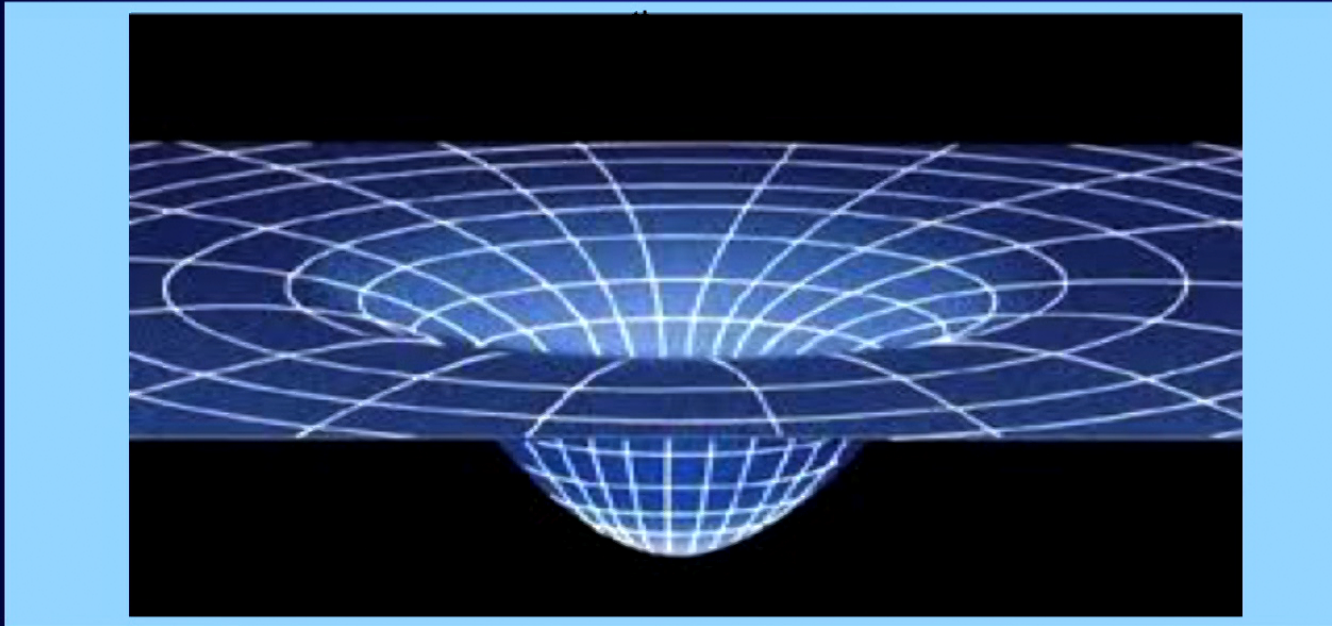
Example: range of entanglement



**infinite
range of
entanglement
in special
relativity**



**should we
expect the
same in
general
relativity?**

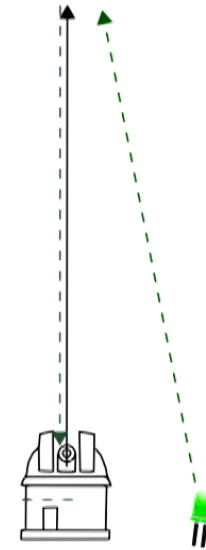
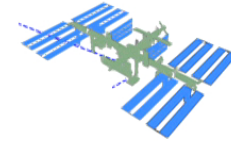


Can we probe this experimentally?



Can we probe this experimentally?

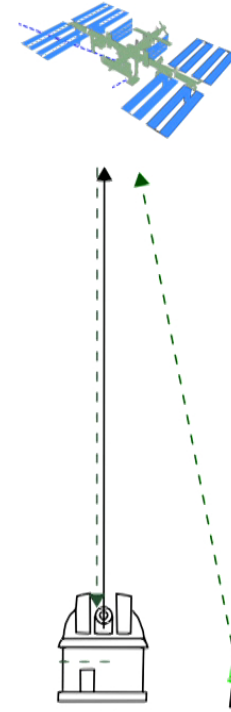
$$t = r_2 - r_1 + 2M \ln \frac{r_2}{r_1}$$



Can we probe this experimentally?

$$t = r_2 - r_1 + 2M \ln \frac{r_2}{r_1}$$

$$h = r_2 - r_1 + M \ln \frac{r_2}{r_1}$$



Can we probe this experimentally?

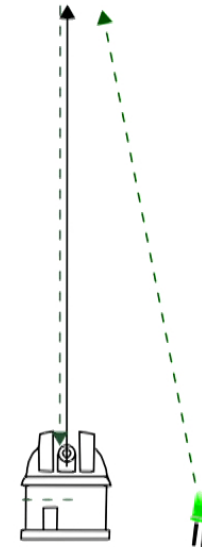
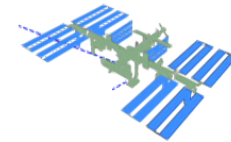
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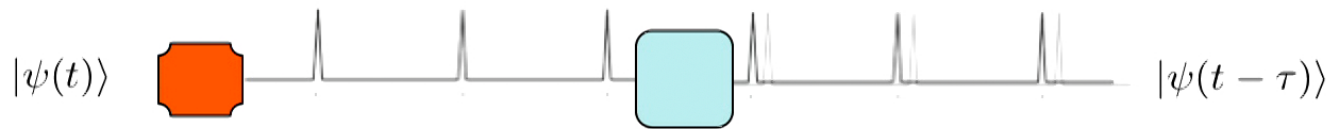
$$h = r_2 - r_1 + M \ln \frac{r_2}{r_1}$$

$$\Delta t = M \ln \frac{r_2}{r_1} \approx \frac{Mh}{r_e} = 0.0002$$

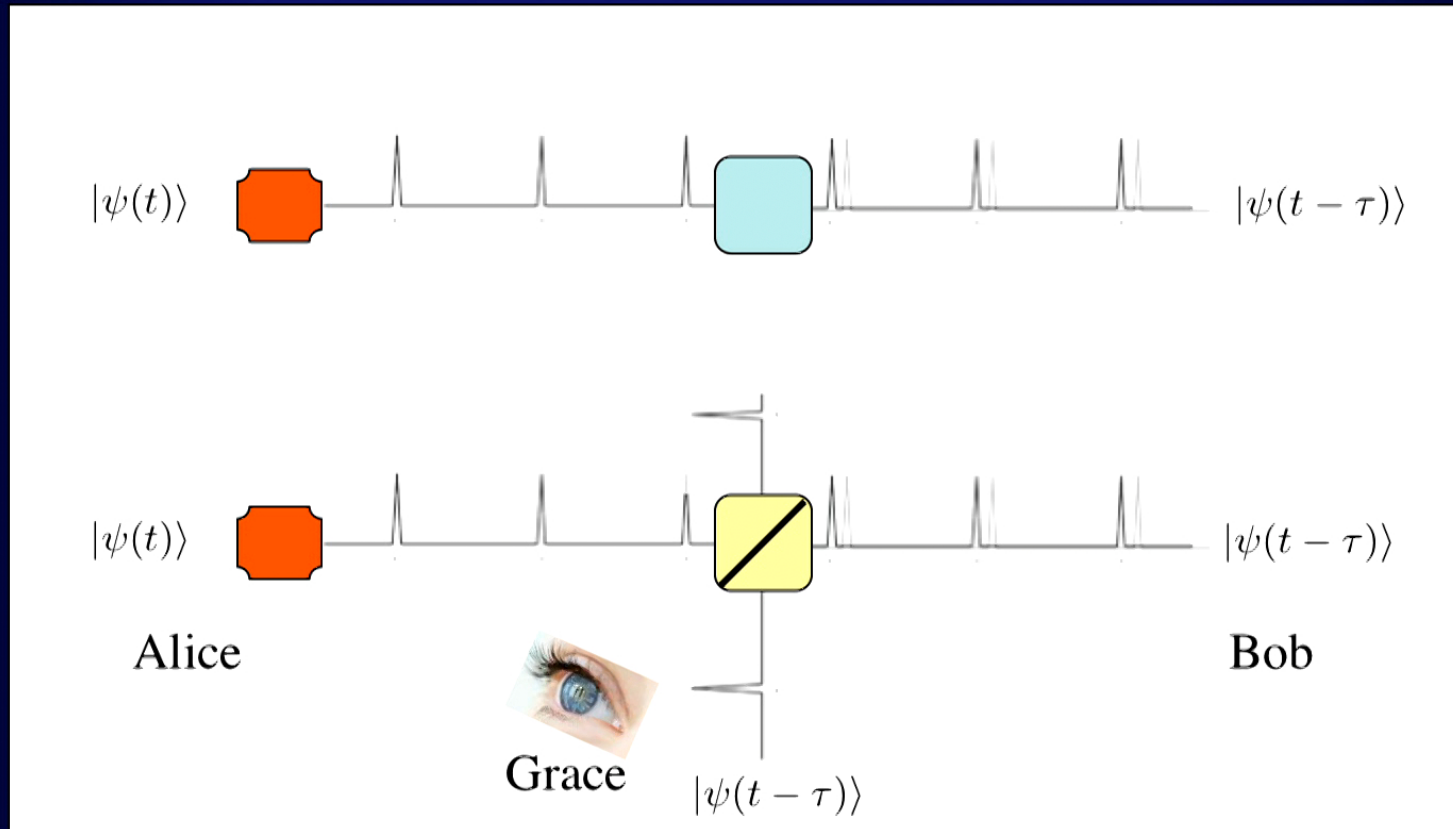
$$1ps = 0.0003$$



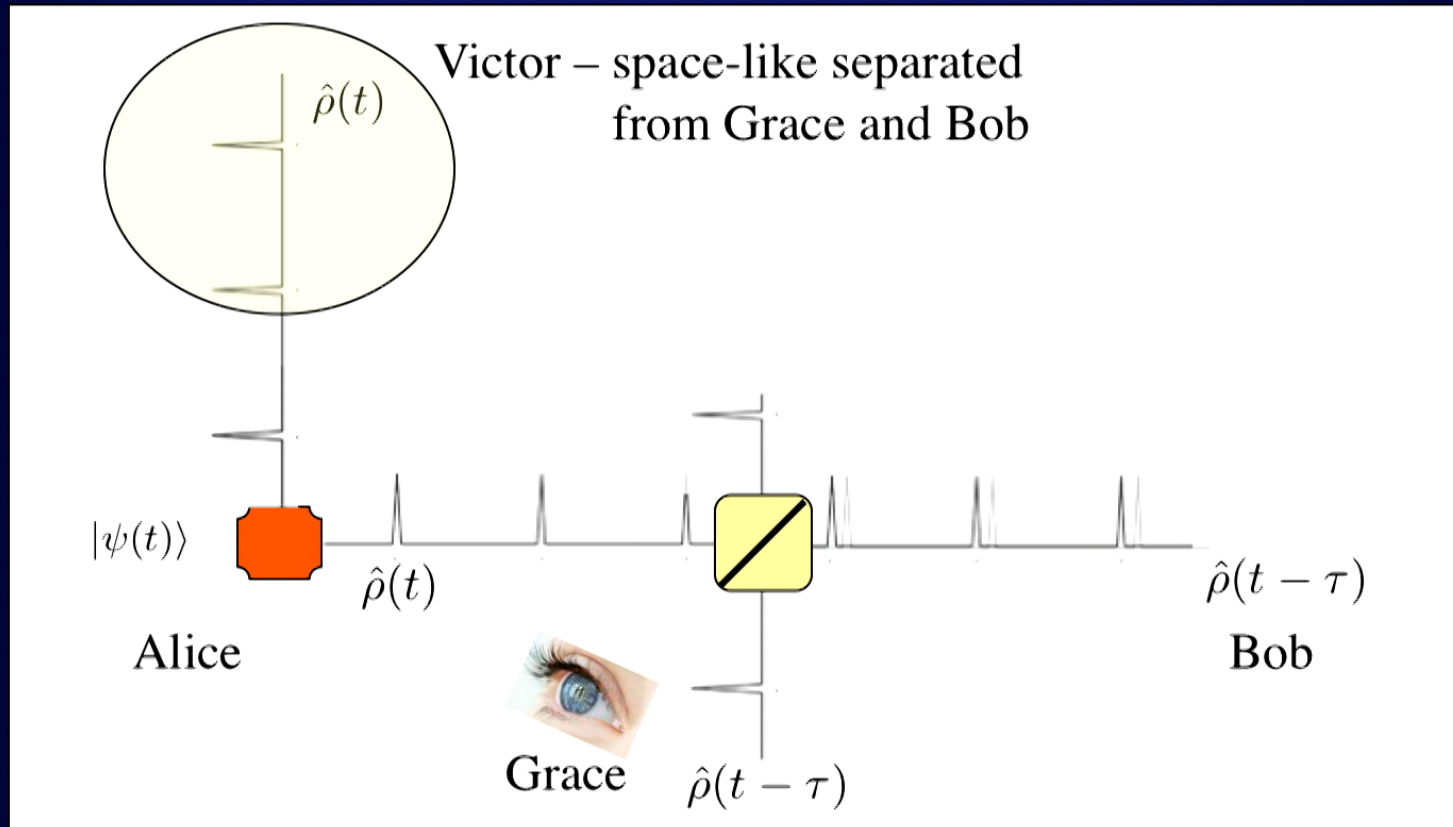
What does the standard approach say?



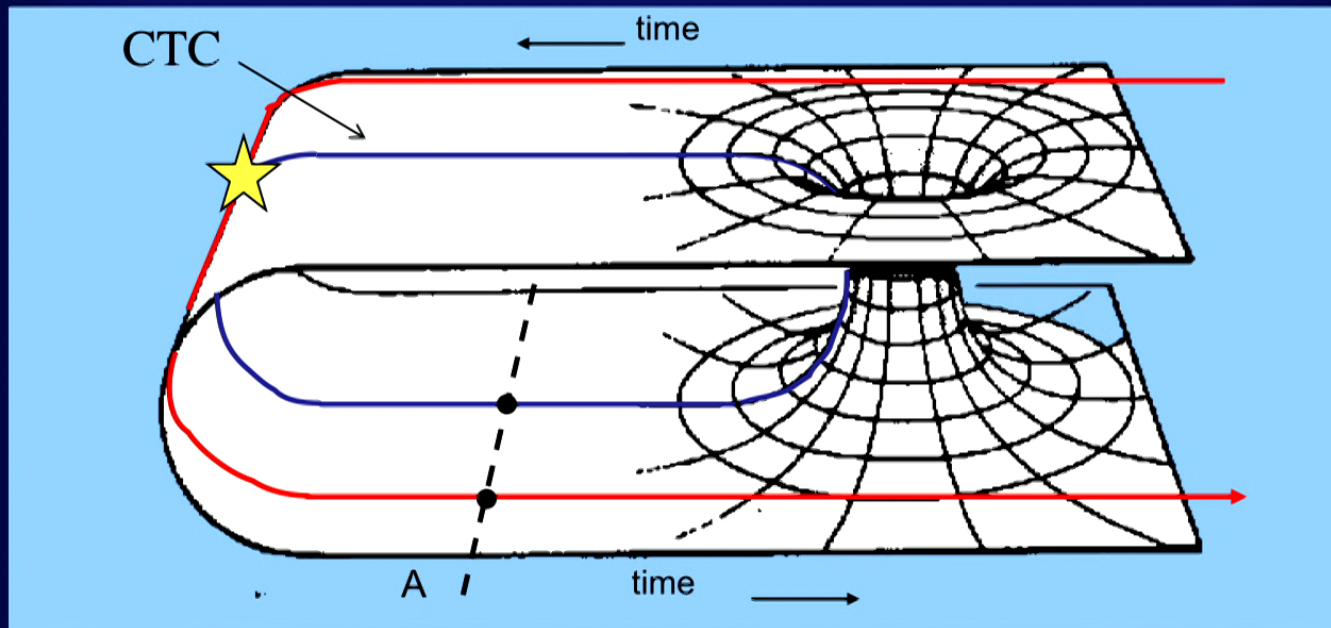
How else could it be?



How could we tell the difference?

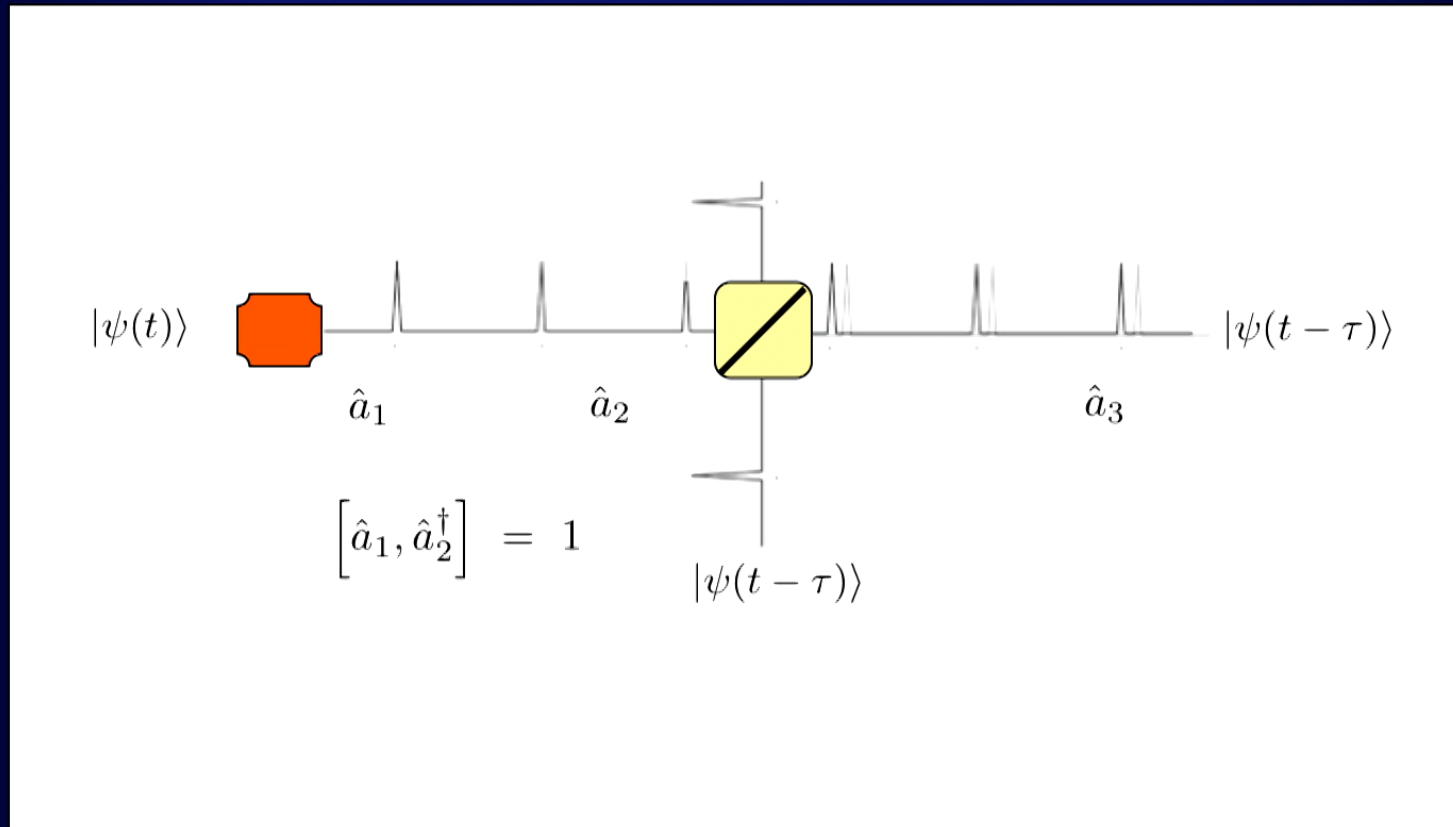


Time-like Wormhole

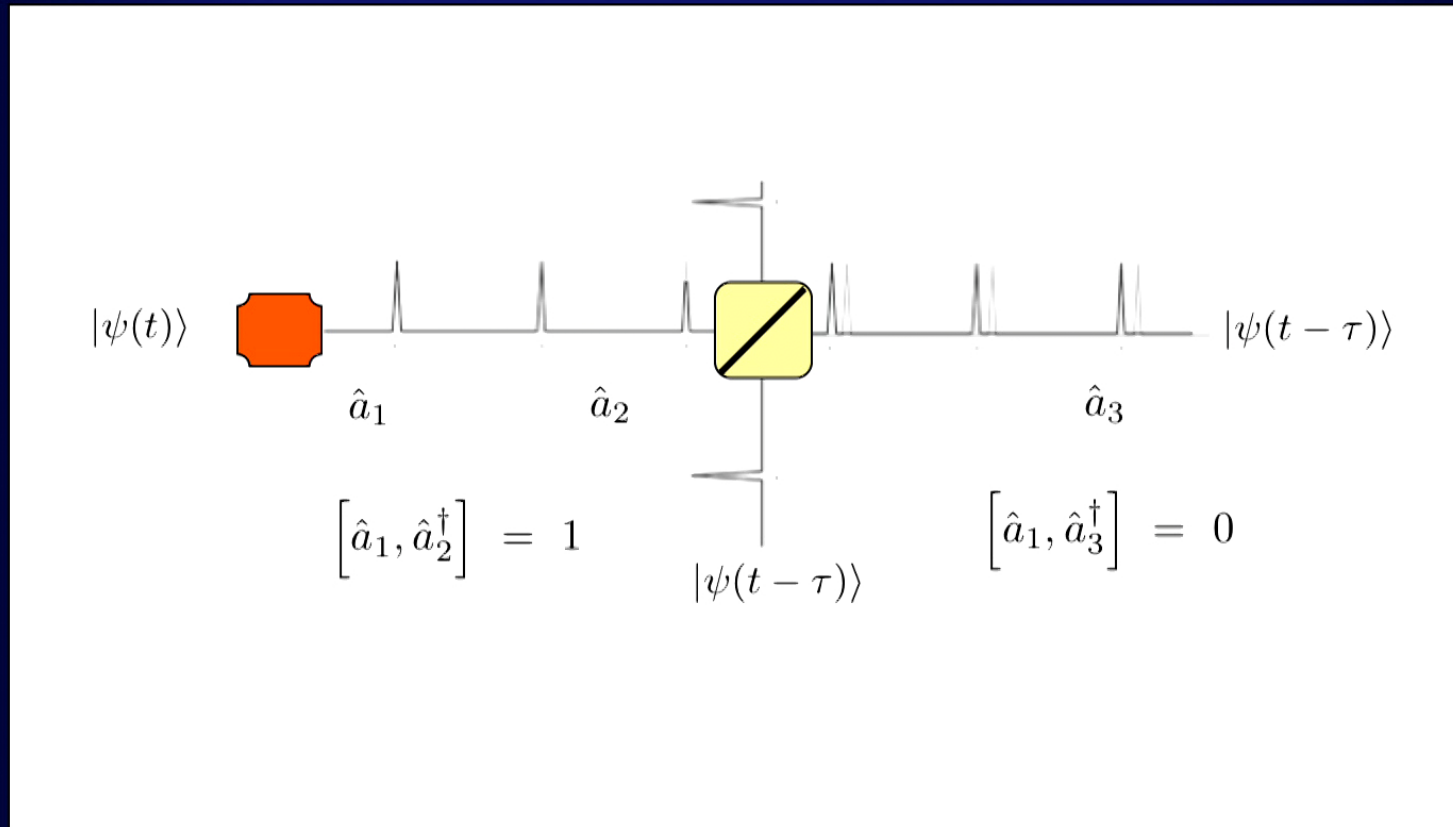


In terms of mode operators Deutsch's theory implies the commutator decays as a function of proper time along the geodesic

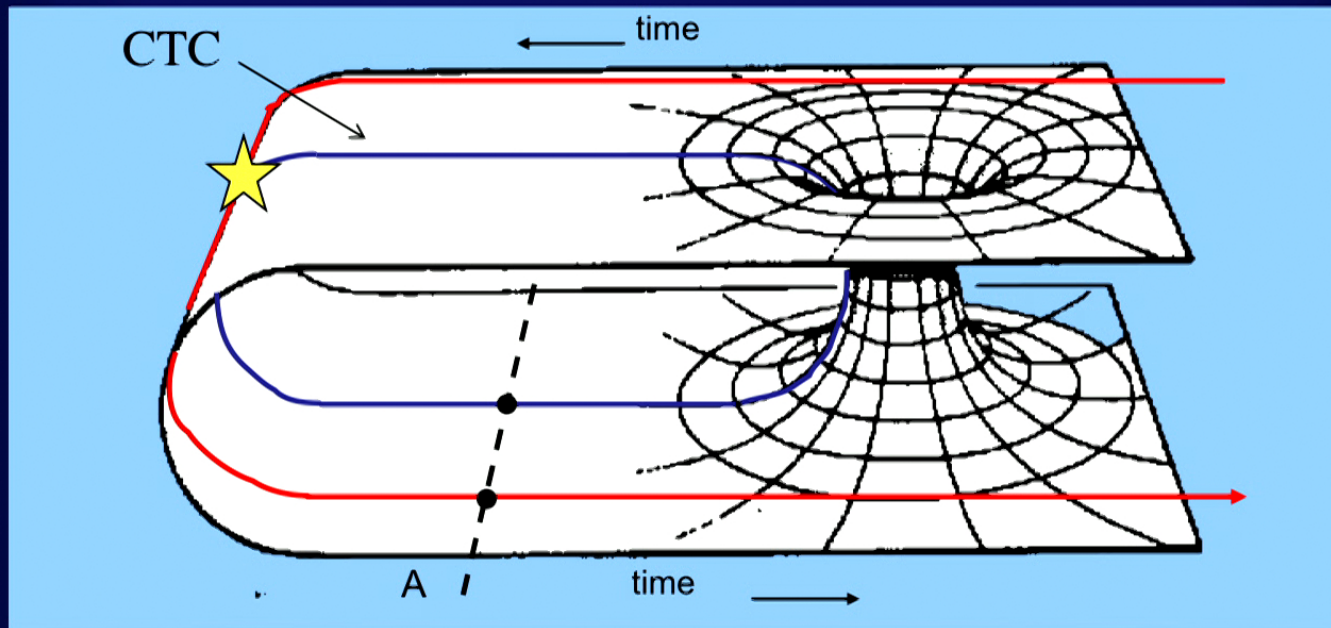
Schrödinger versus Heisenberg Picture



Schrödinger versus Heisenberg Picture



Time-like Wormhole



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*** T.C.Ralph, G.J.Milburn and T.Downes,
Phys.Rev.A. 79, 022121 (2009)
- quantum optical event operator**

$$\hat{a}(t, x) = \int dk g(k) e^{ik(x-t)} \hat{a}_k,$$

*** T.C.Ralph, G.J.Milburn and T.Downes,
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- quantum optical event operator**

$$\hat{a}(t, x) = \int dk g(k) e^{ik(x-t)} \int d\Omega J(\Omega) e^{i\Omega(t_d - \tau)} \hat{a}_{k, \Omega}$$
$$\tau = \int_t^{t_d} ds$$

- * **T.C.Ralph, G.J.Milburn and T.Downes,**
Phys.Rev.A. 79, 022121 (2009)
- quantum optical event operator

- * **J.L.Pienaar, C.R.Myers, and T.C.Ralph,**
Phys Rev A 84, 062316 (2011)
- event operators reproduce the Deutsch solution

- * **S. Joshi, et al, New Journal of Physics 20, 063016 (2018).**
- experimental proposal

Can we probe this experimentally?

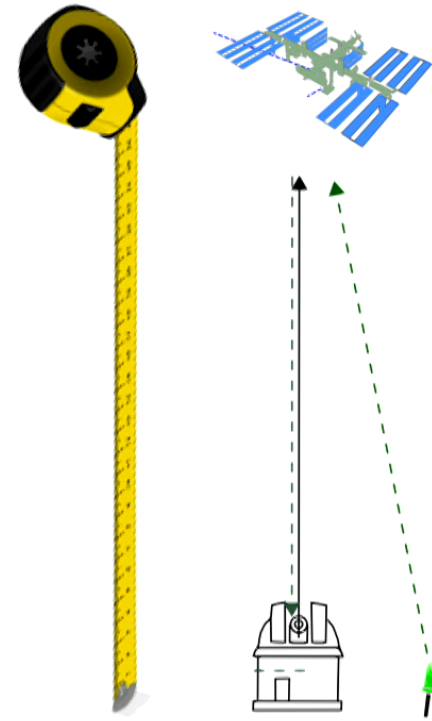
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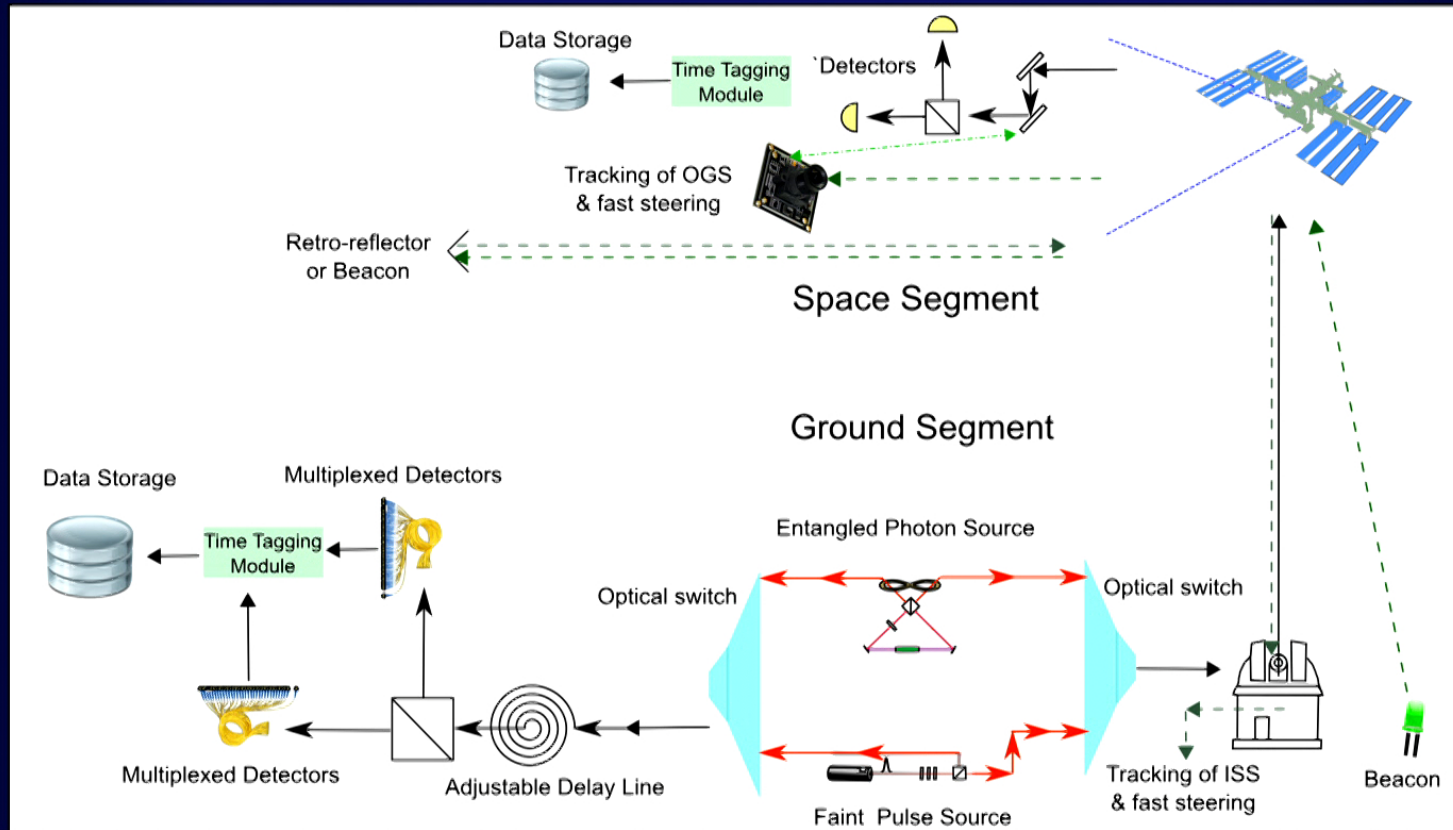
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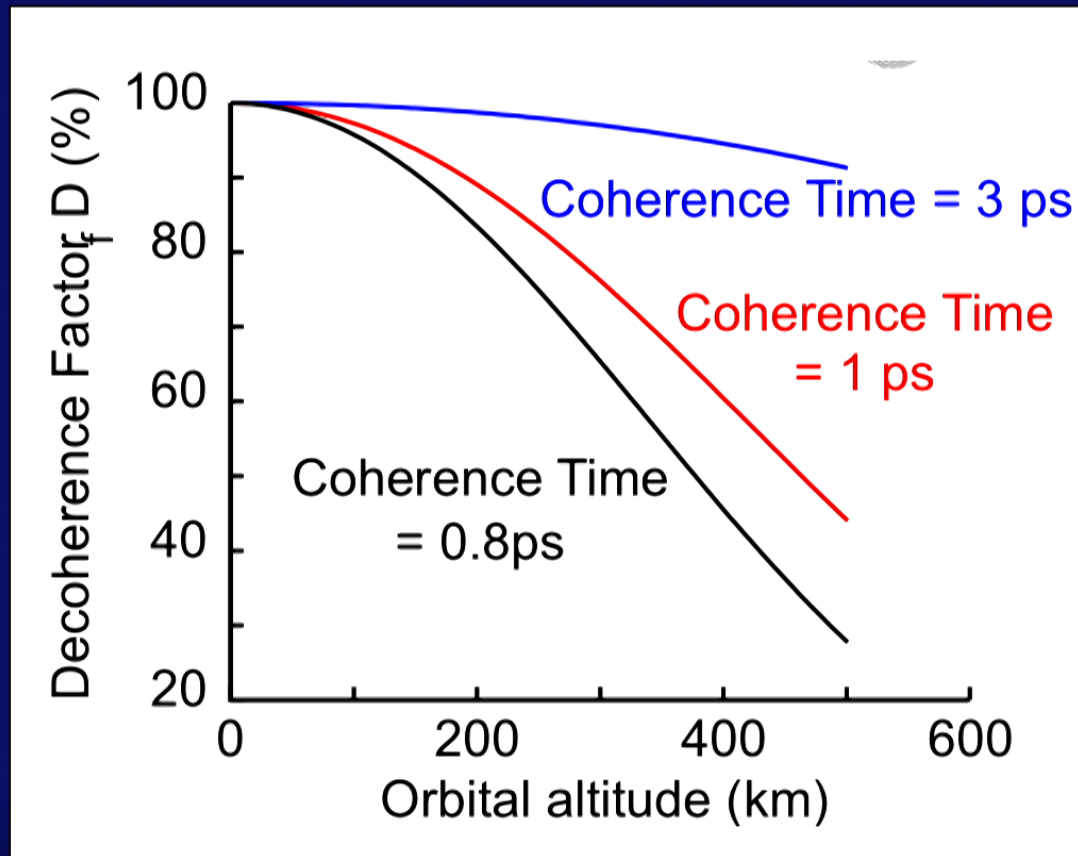


Experimental proposal



S. Joshi, et al, *New Journal of Physics* **20**, 063016 (2018).

Experimental proposal



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Micius quantum satellite

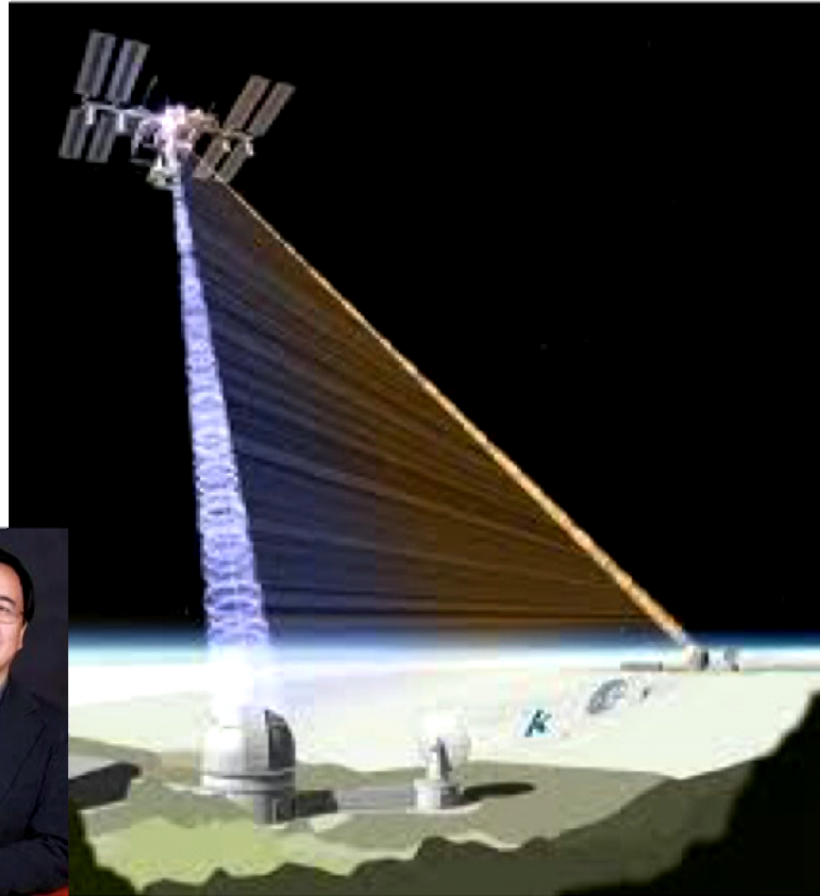
Global Quantum Comm:

Distribute entanglement
from space to the ground
enabling secure communication
over long distance

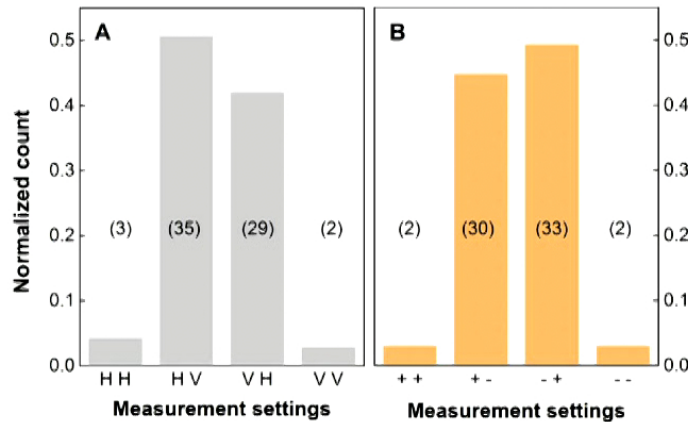
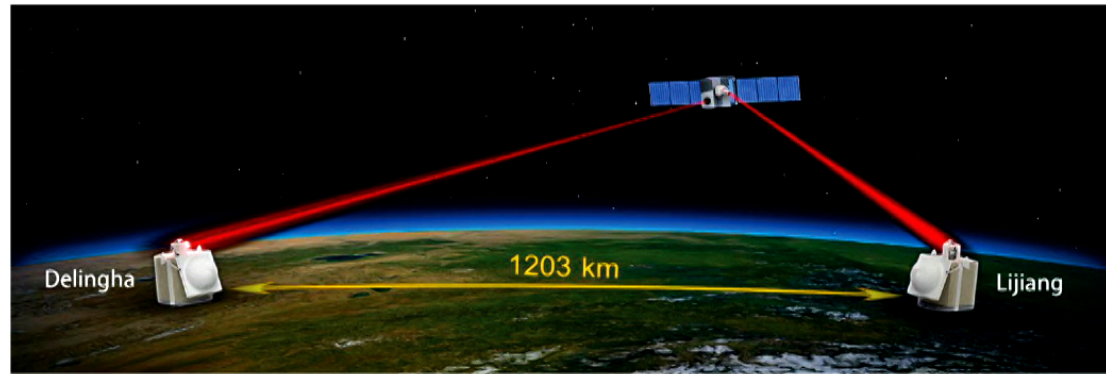
Also used to distribute
entanglement from ground to
space (teleportation)

Orbit height ~ 500km

Jian-Wei Pan
University of Science
and Technology of China
Hefei, China



Micius quantum satellite



classical correlations

$$S \leq 2$$

observed

$$S = 2.37 \pm 0.09$$

Juan Yin, et al,
Science 356, 1140 (2017)

Micius quantum satellite

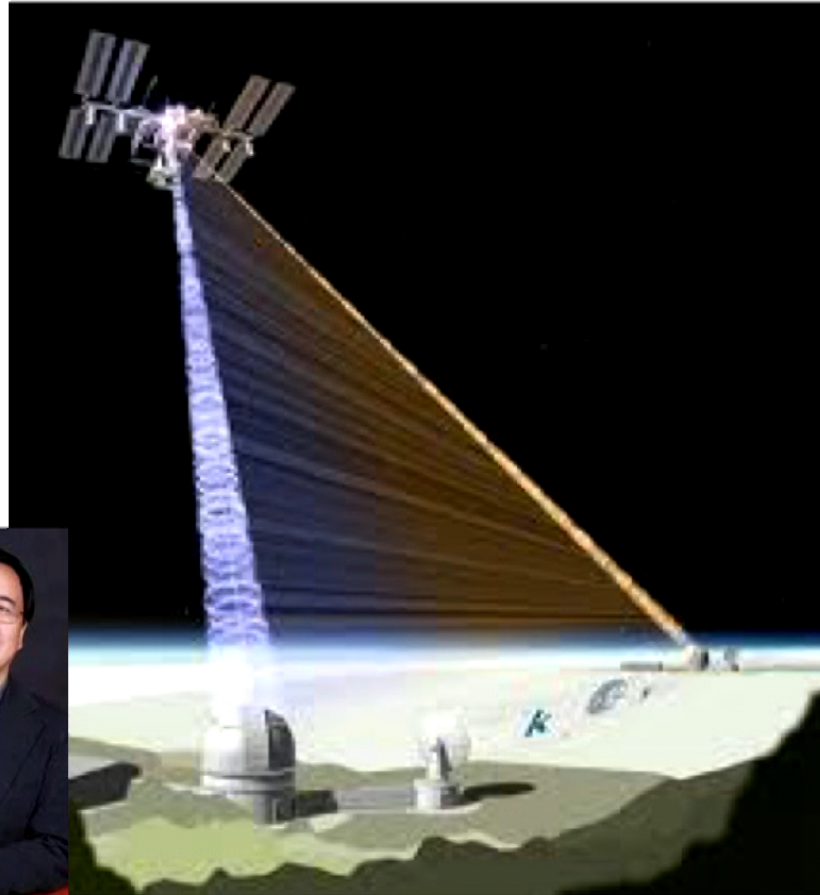
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Decoherence experiment

RESEARCH

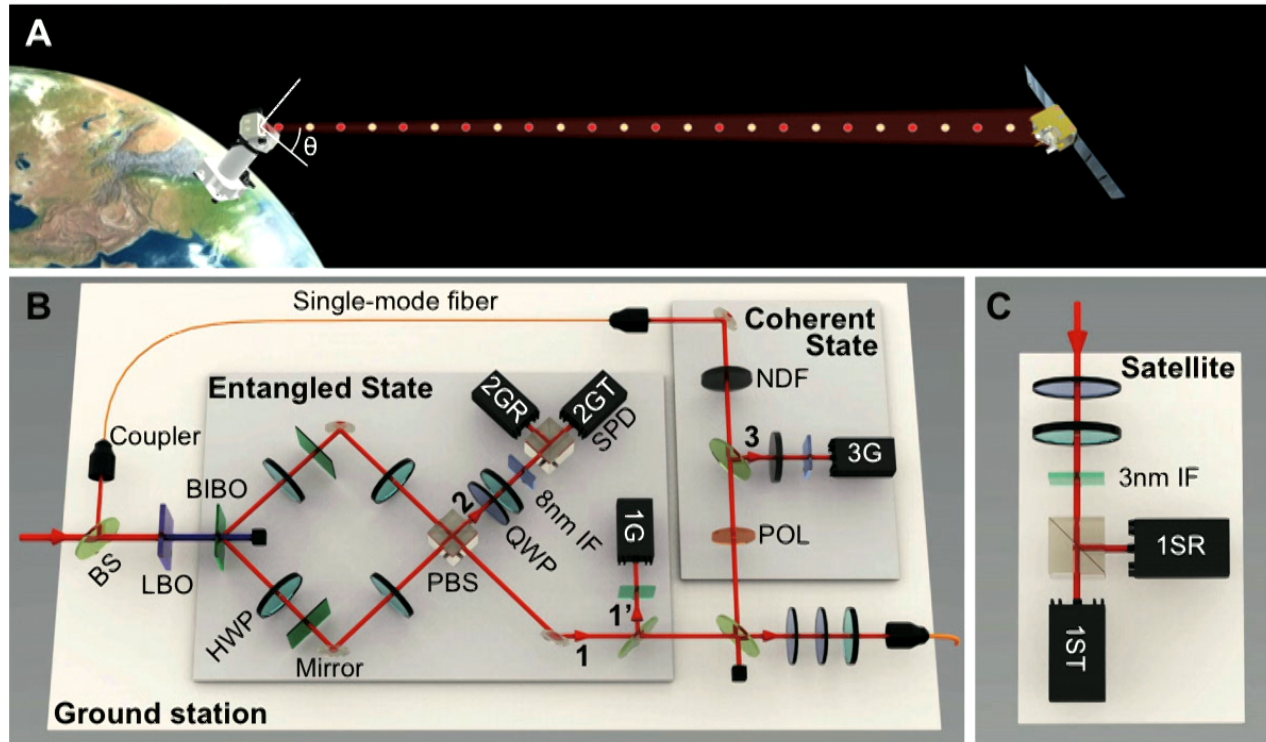
QUANTUM PHYSICS

Satellite testing of a gravitationally induced quantum decoherence model

Ping Xu^{1,2*}, Yiqiu Ma^{3*}, Ji-Gang Ren^{1,2*}, Hai-Lin Yong^{1,2}, Timothy C. Ralph⁴, Sheng-Kai Liao^{1,2}, Juan Yin^{1,2}, Wei-Yue Liu^{1,2}, Wen-Qi Cai^{1,2}, Xuan Han^{1,2}, Hui-Nan Wu^{1,2}, Wei-Yang Wang^{1,2}, Feng-Zhi Li^{1,2}, Meng Yang^{1,2}, Feng-Li Lin⁵, Li Li^{1,2}, Nai-Le Liu^{1,2}, Yu-Ao Chen^{1,2}, Chao-Yang Lu^{1,2}, Yanbei Chen³, Jingyun Fan^{1,2†}, Cheng-Zhi Peng^{1,2†}, Jian-Wei Pan^{1,2†}

Xu *et al.*, *Science* **366**, 132–135 (2019) 4 October 2019

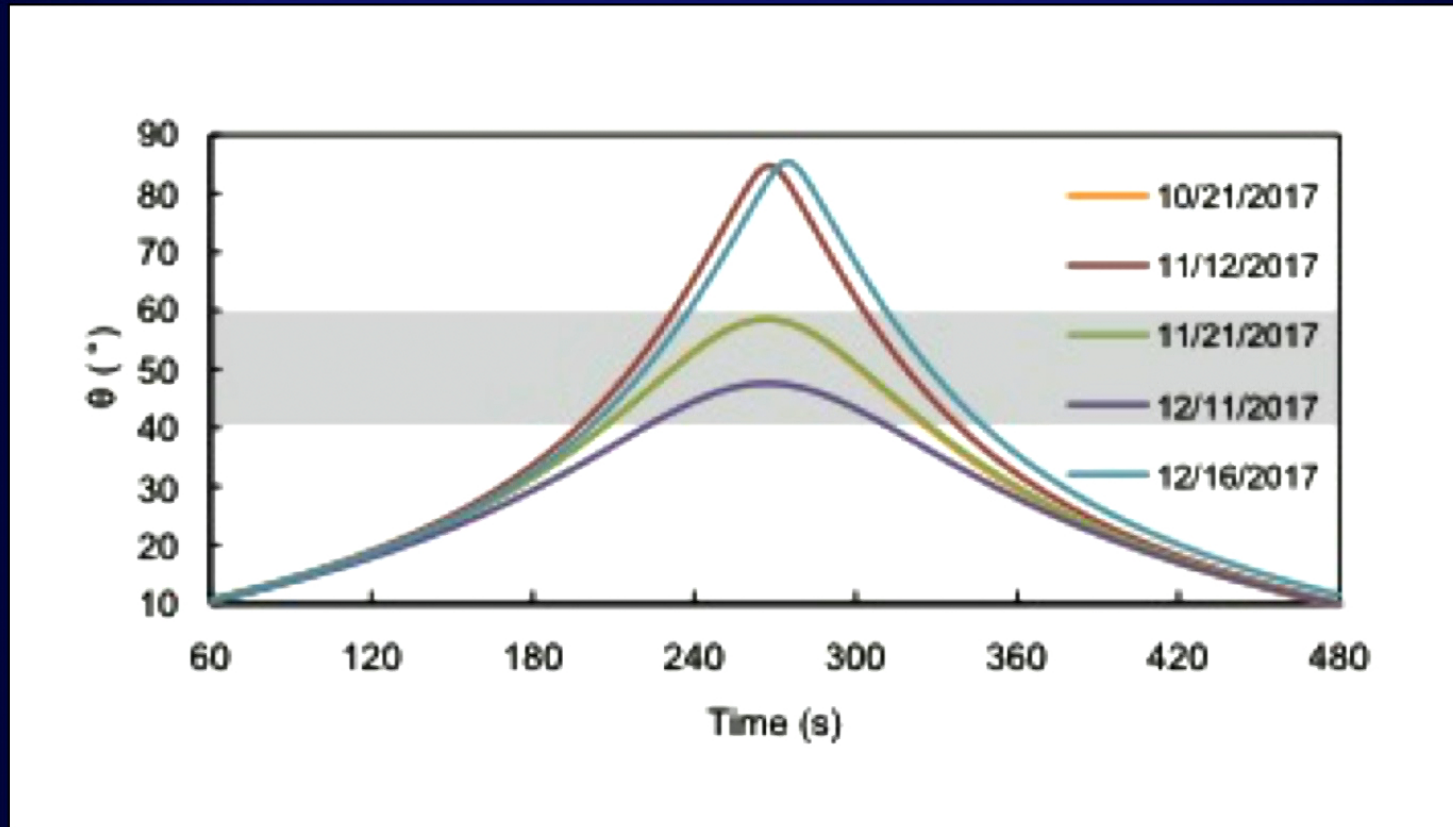
Decoherence experiment



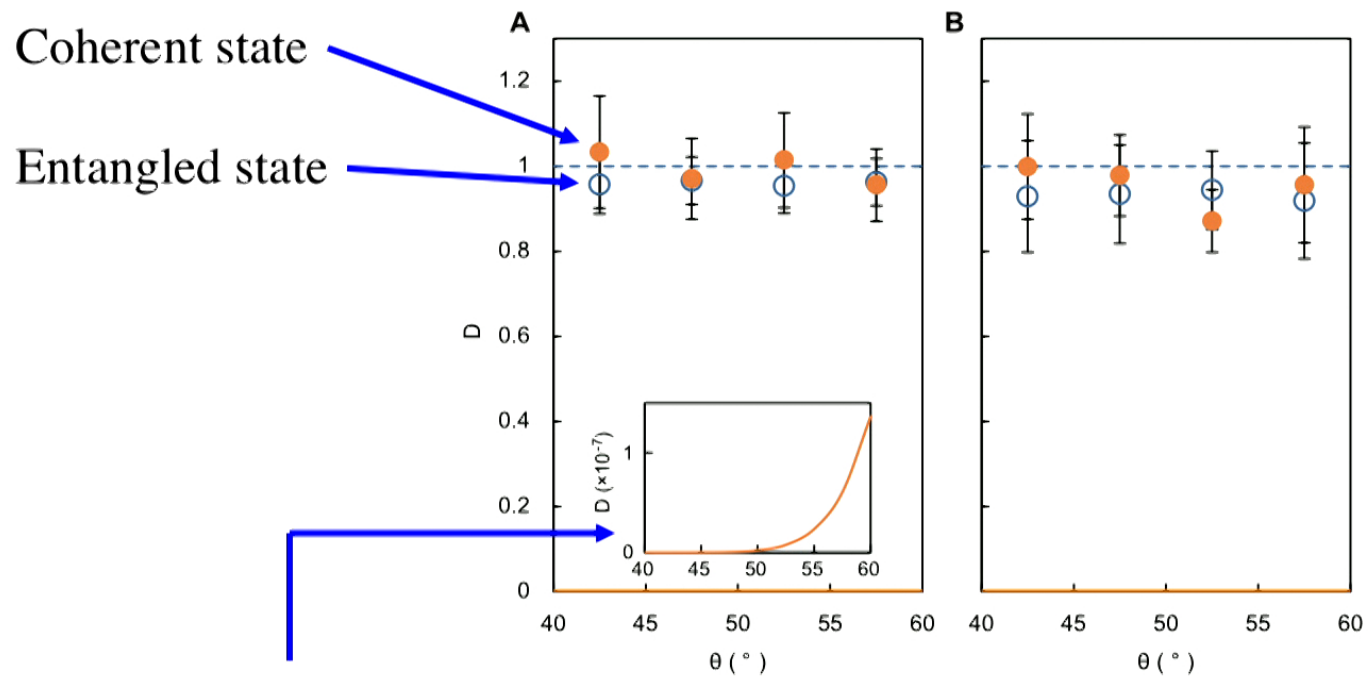
0.2 ps pulse length

Orbit height ~ 500km

Decoherence experiment



Decoherence experiment



$$\Delta_t \approx \int_{r_e}^{r_e+h} \frac{M}{r} \left(1 + \frac{2M}{r} + \frac{r_e^2 \tan^2(90 - \theta)}{r^2} \right)^{1/2} dr$$

Can we probe this experimentally?

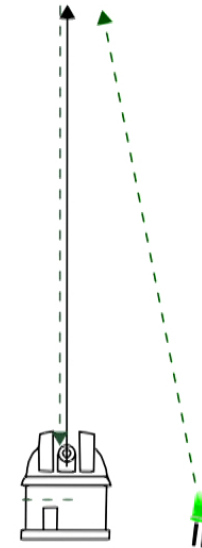
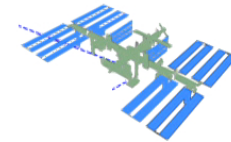
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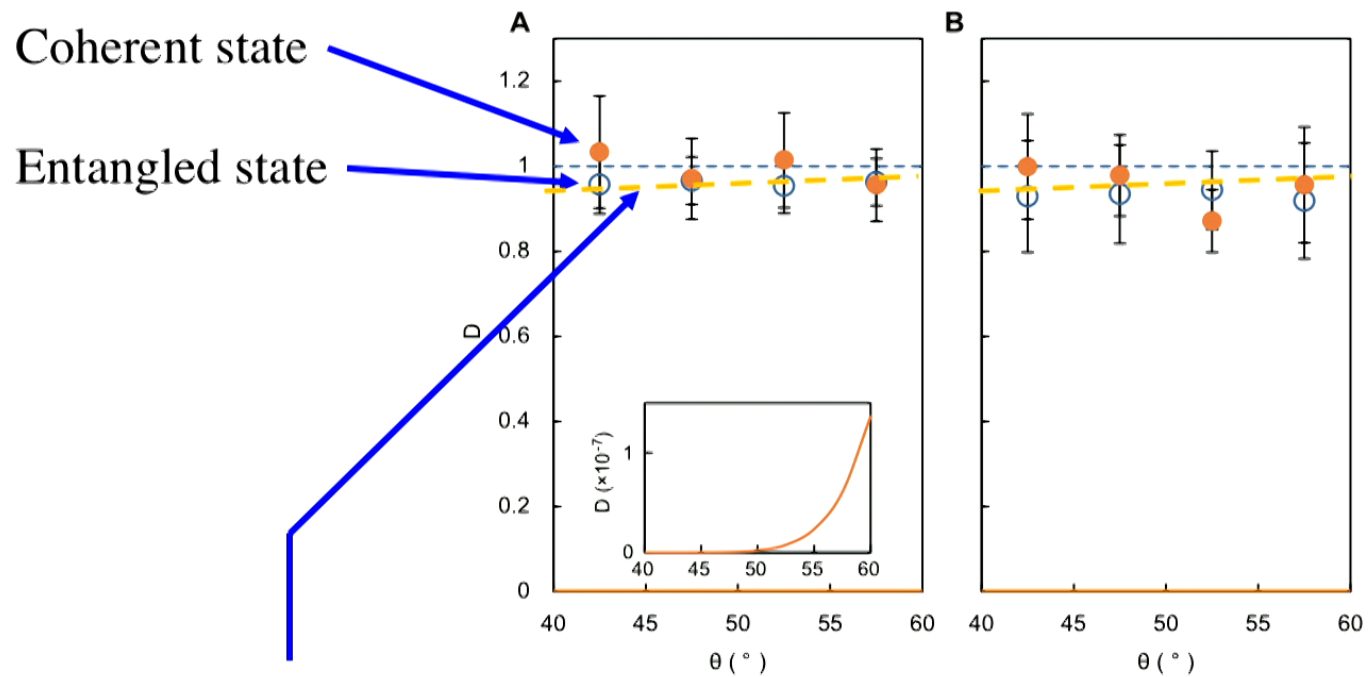
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$$\Delta t = M \ln \frac{r_2}{r_1} \approx \frac{Mh}{r_e} = 0.0002$$

$$1ps = 0.0003$$



Decoherence experiment



$$\Delta_t = \int_{r_e}^{r_e+h} \left(\frac{M}{r} - \frac{M}{r_e+h} \right) \left(1 + \frac{2M}{r} + \frac{r_e^2 \tan^2(90 - \theta)}{r^2} \right)^{1/2} dr$$

Conclusions

- * There are good reasons to test quantum field theory on a curved background
- * Considering space-times when indefinite causal orders can motivate such tests.
- * First satellite based test of gravitational decoherence shows no effect to first order
- * Such tests are key technology drivers

