

Title: TBA

Speakers: Lucien Hardy

Collection: Indefinite Causal Structure

Date: December 11, 2019 - 4:00 PM

URL: <http://pirsa.org/19120039>

Classical

The Equivalence Principle. For any point, it is possible to find a coordinate system wrt which we have inertial behaviour in the vicinity of that point.

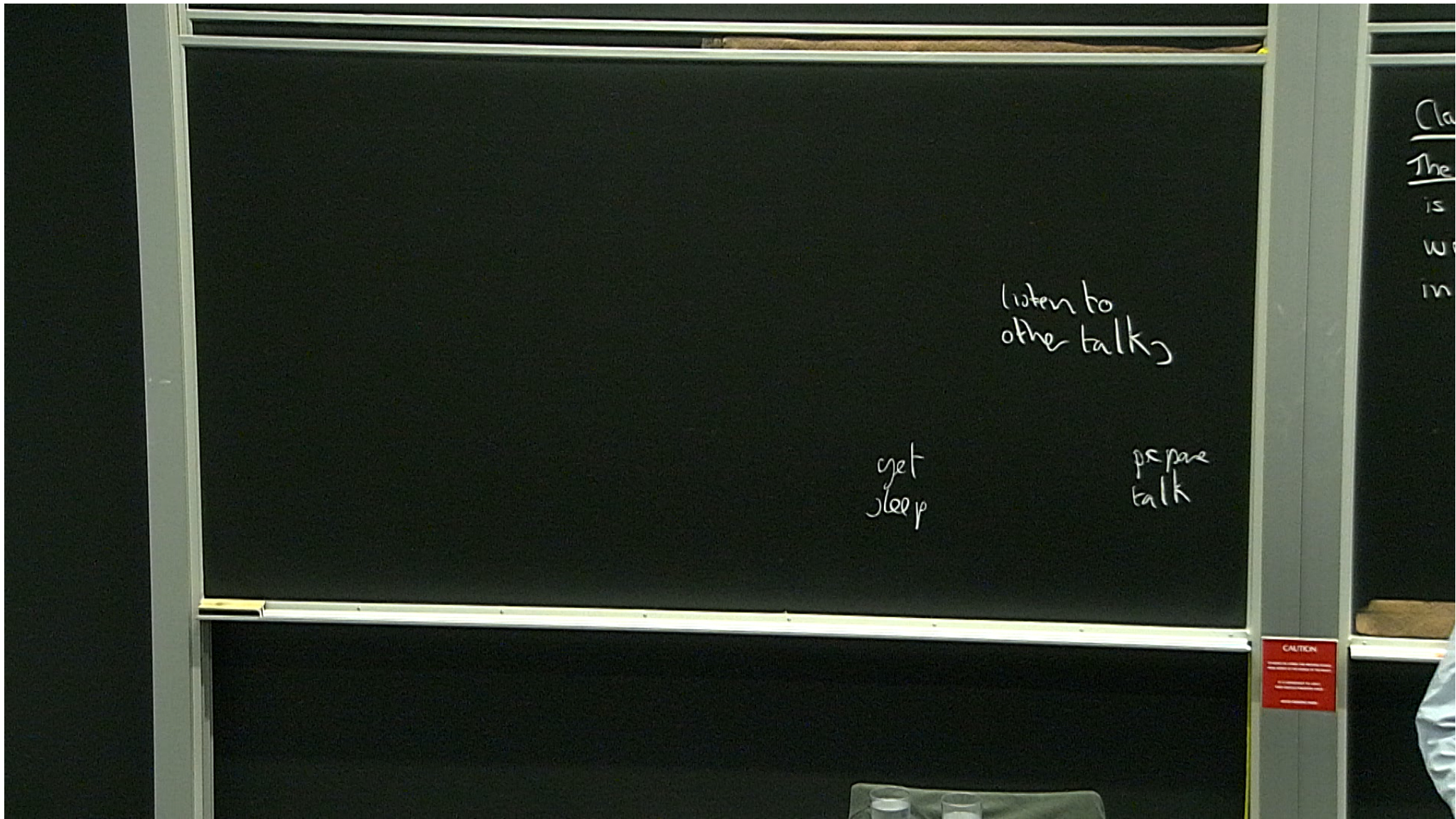
Quantum

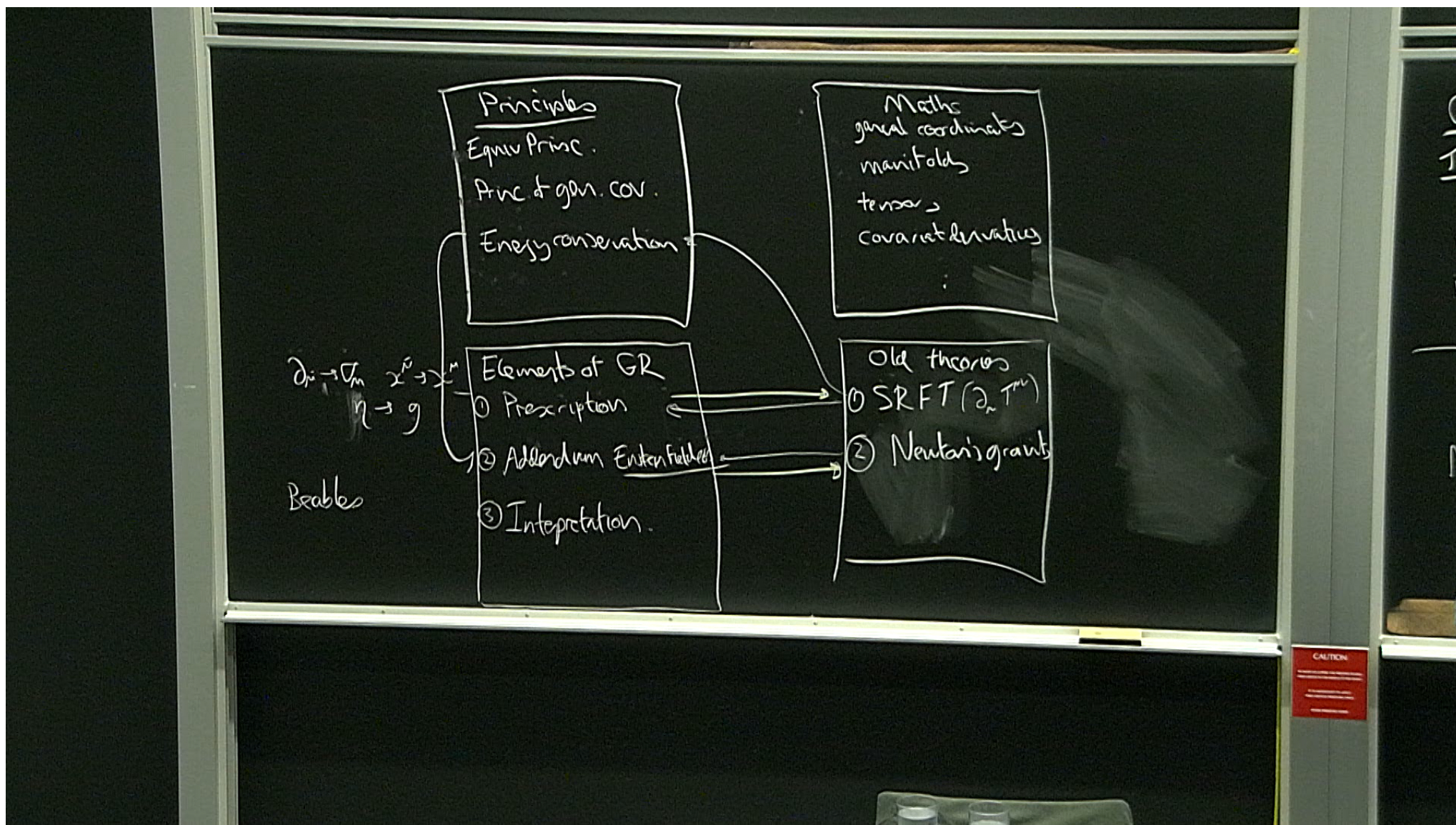
The Quantum Equivalence Principle

← title of talk

for any given point it is possible to find a _____ coordinate system wrt which we have _____

_____ in the vicinity of that point.





Classical

The Equivalence Principle. For any point, it is possible to find a coordinate system wrt which we have inertial behaviour in the vicinity of that point.

Problem of Rel. Grav.

NG $\leftarrow$ RG $\rightarrow$ SRFTs
GR

Quantum

The Quantum Equivalence Principle ^{title of talk}
for any given point it is possible to find a quantum coordinate system wrt which we have definite causal structure in the vicinity of that point.

Problem of QG

GR $\leftarrow$ QG $\rightarrow$ SRQFT

title of talk

Principle

it is possible to
define system

definite
in the vicinity

→ SRQFT

Principles
Q. Equiv. Princ.
princ. of gen. Q. cov.
Energy conservation

Elements of QG
① Prescription
② Addendum
③ Interpretation

Math
Gen. quant. coords.
Q. Manifolds
Q. Tensor fields
Q. cov. derivative
:

Old theories
SRQFT
GR

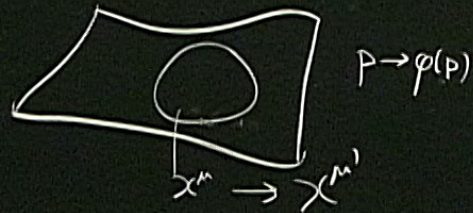
Beables

③ Interpretation.

classical description

$$\mathcal{U} = \{ (\Phi, p) : \forall p \in \mathcal{M}_n \}$$

$$\Phi = (g, \text{matter fields})$$



$$\phi^* \mathcal{U} = \{ (\phi^* \Phi, q) : \forall q \in \phi^* \mathcal{M}_n \}$$

$$\text{path integral} = \int_{u \in V[a]} \mathcal{D}u e^{iS/\hbar}$$

$$|u\rangle$$

$$|\psi\rangle \leftarrow t$$

$$|\psi\rangle = \int_{u \in V} \mathcal{D}u \, c_u |u\rangle$$

$$|\psi\rangle = a \left| \begin{array}{c} \text{diagram 1} \\ \text{diagram 2} \\ \text{diagram 3} \end{array} \right\rangle + b \left| \begin{array}{c} \text{diagram 1} \\ \text{diagram 2} \\ \text{diagram 3} \end{array} \right\rangle + c \left| \begin{array}{c} \text{diagram 1} \\ \text{diagram 2} \\ \text{diagram 3} \end{array} \right\rangle + \dots$$

$$\phi|\psi\rangle$$

quantum
diffeo.

quantum
coordinate
system

↗ classical $\mathcal{X}$
↘ identification
structure

$\mathcal{X}$

