

Title: Simulating an expanding universe on Google's Bristlecone

Speakers: Guifre Vidal

Collection: Many-Body States and Dynamics Workshop II

Date: June 13, 2019 - 9:30 AM

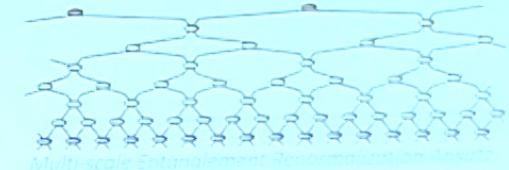
URL: <http://pirsa.org/19060027>

Abstract: I will describe a proposal to simulate MERA on Google's 72 qubit NISQ device known as Bristlecone, and explain how it can be the basis for simulating inflation in an early universe. Other applications of this proposal include benchmarking of the NISQ device, hybrid classical quantum optimizations and quantum machine learning.



Bristlecone is a [quantum computer](#)

It's a Noisy Intermediate-Scale Quantum (NISQ)
device that implements a *quantum evolution*



MERA is a [tensor network](#)

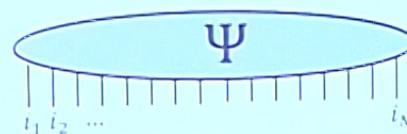
It's an efficient data structure used to simulate
quantum systems on a *classical computer*

Did I just get confused (again)?

MERA is a tensor network

wave-function of N qubits

$$|\Psi\rangle = \sum_{i_1, i_2, \dots, i_N} \Psi_{i_1 i_2 \dots i_N} |i_1 i_2 \dots i_N\rangle$$



2^N
parameters

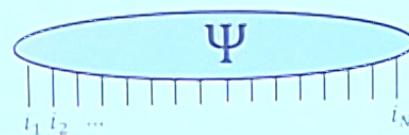
inefficient



MERA is a tensor network

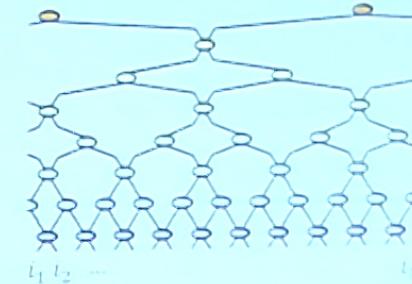
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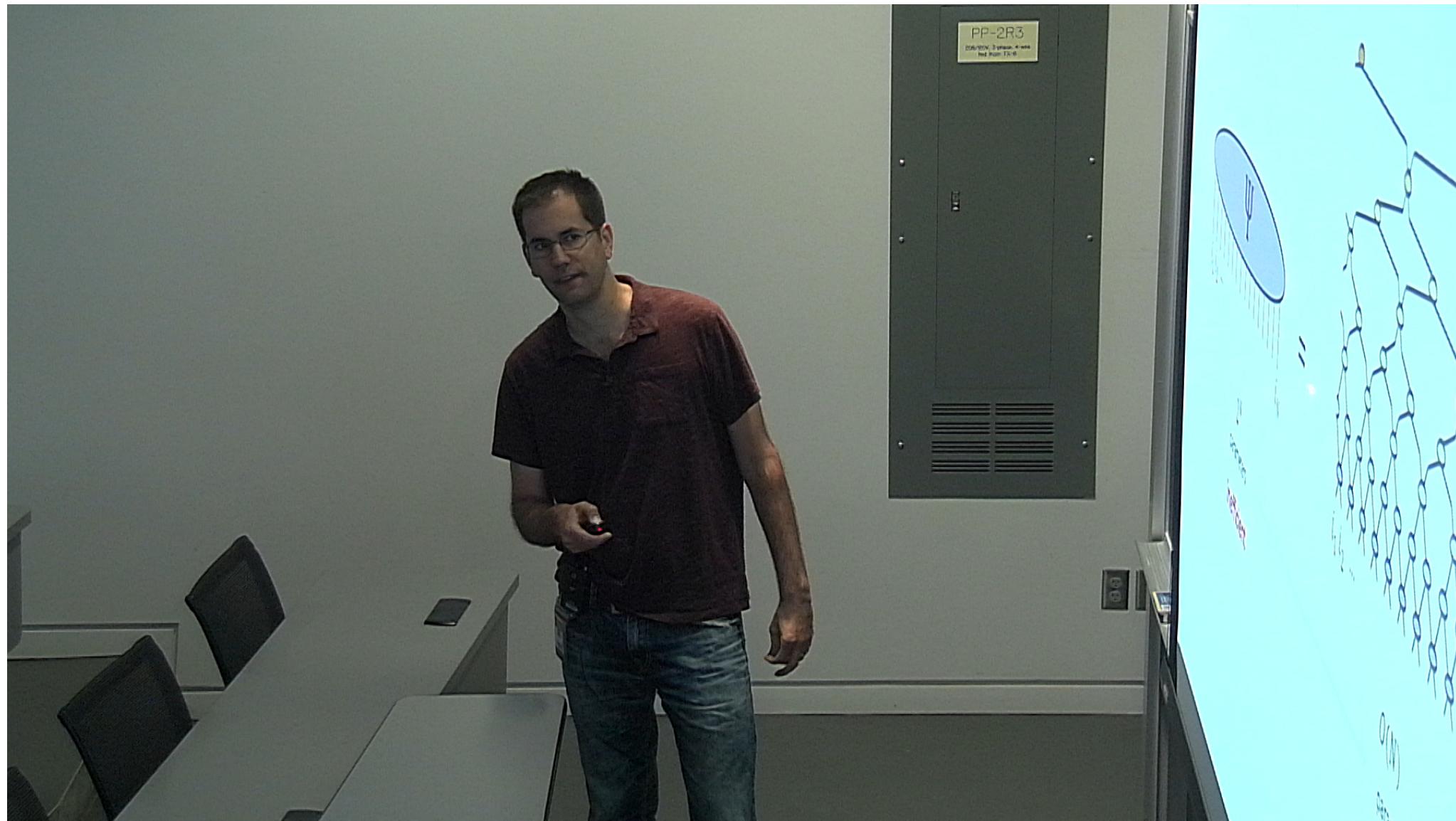
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2^N
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inefficient

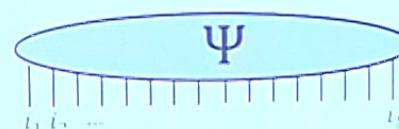




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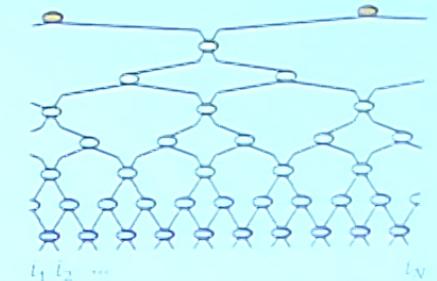
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2^N
parameters

inefficient

- we can efficiently simulate quantum computers with a classical computer!



$\mathcal{O}(N)$
parameters

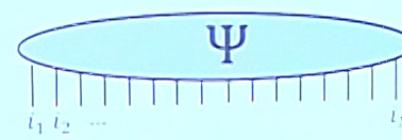
efficient



MERA is a tensor network

wave-function of N qubits

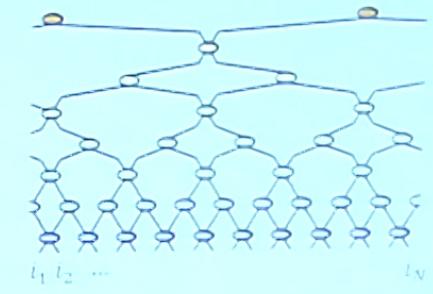
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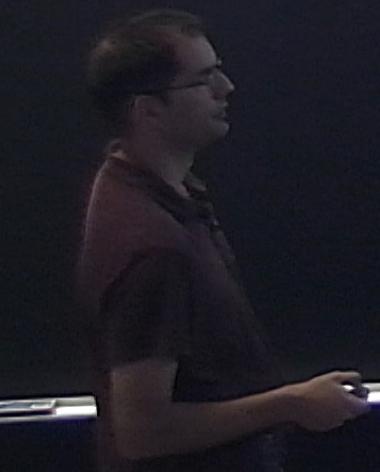
2^N
parameters

inefficient

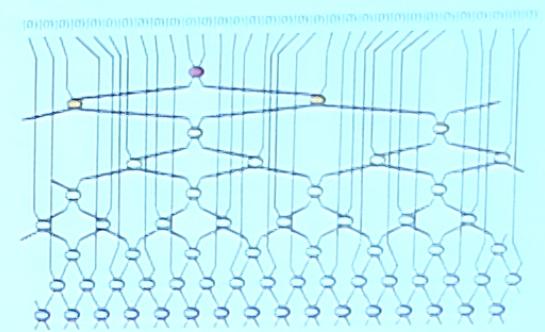
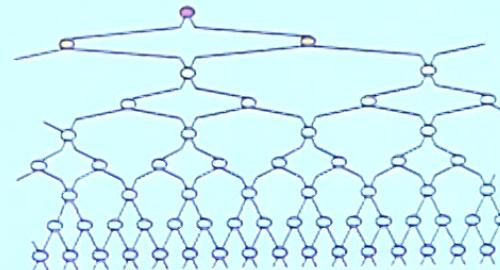
- we can efficiently simulate quantum computers with a classical computer!
- only when the many-body wave-function is moderately entangled



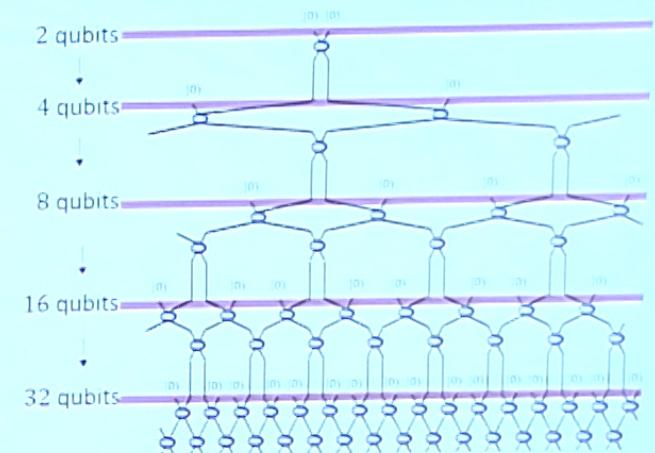
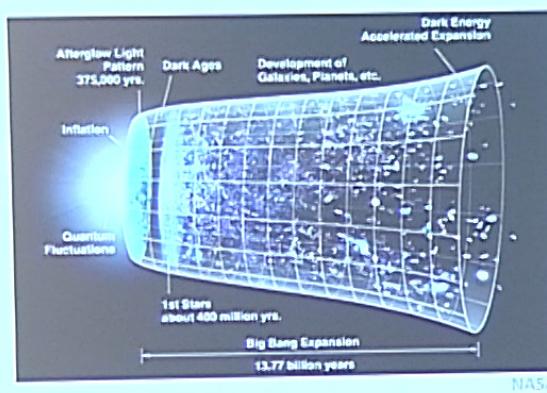
$\mathcal{O}(N)$
parameters
efficient



MERA is a quantum circuit!

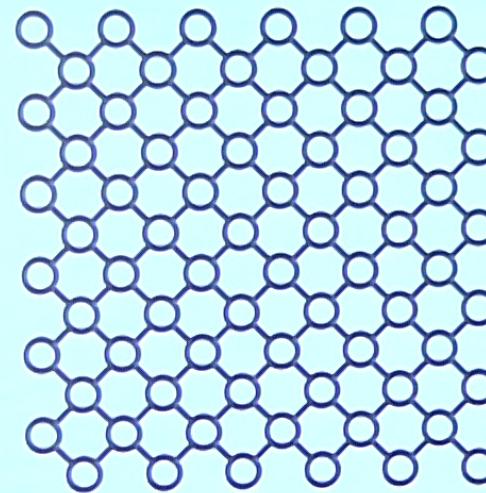


MERA simulates an expanding universe



Pirsa: 19060027

MERA on Bristlecone



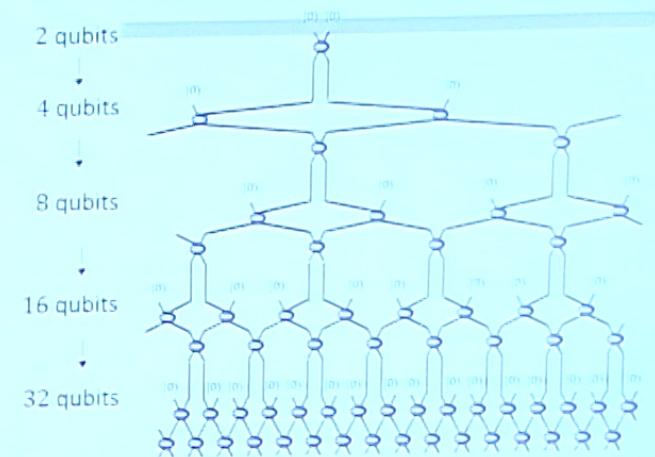
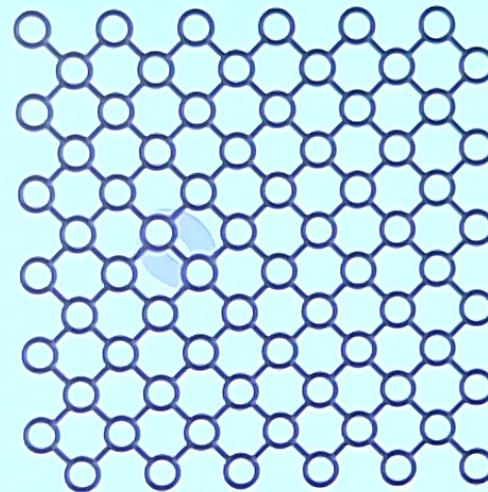
Stefan Leichenauer
(X)

Dave Bacon
(Google AI)

Dvir Kafri, Yu Chen
(Google AI quantum)

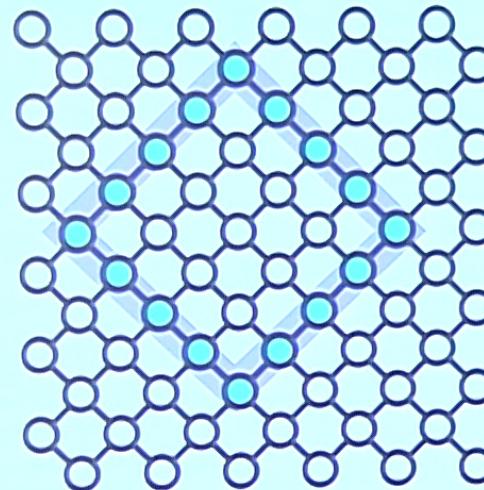


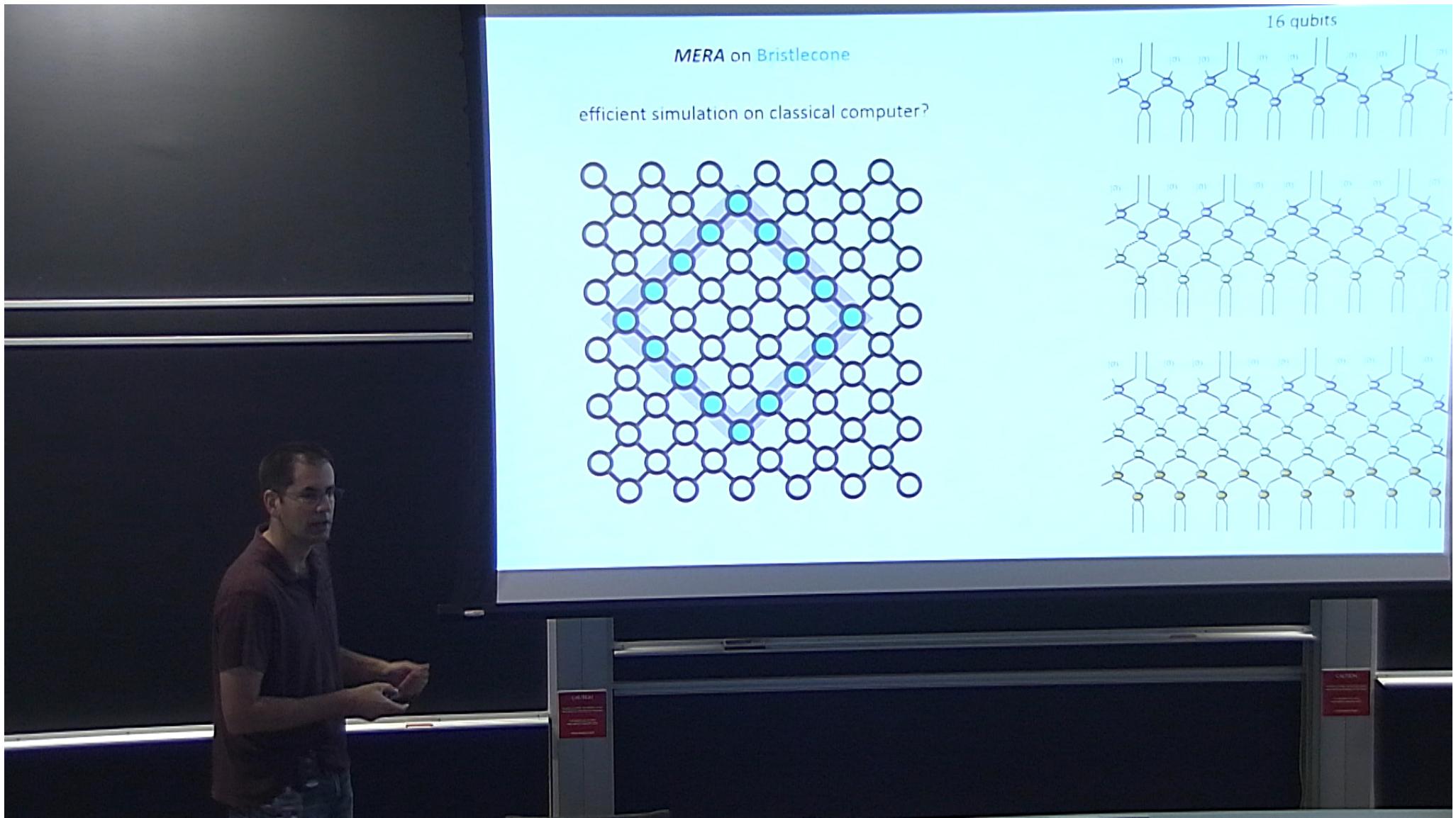
MERA on Bristlecone

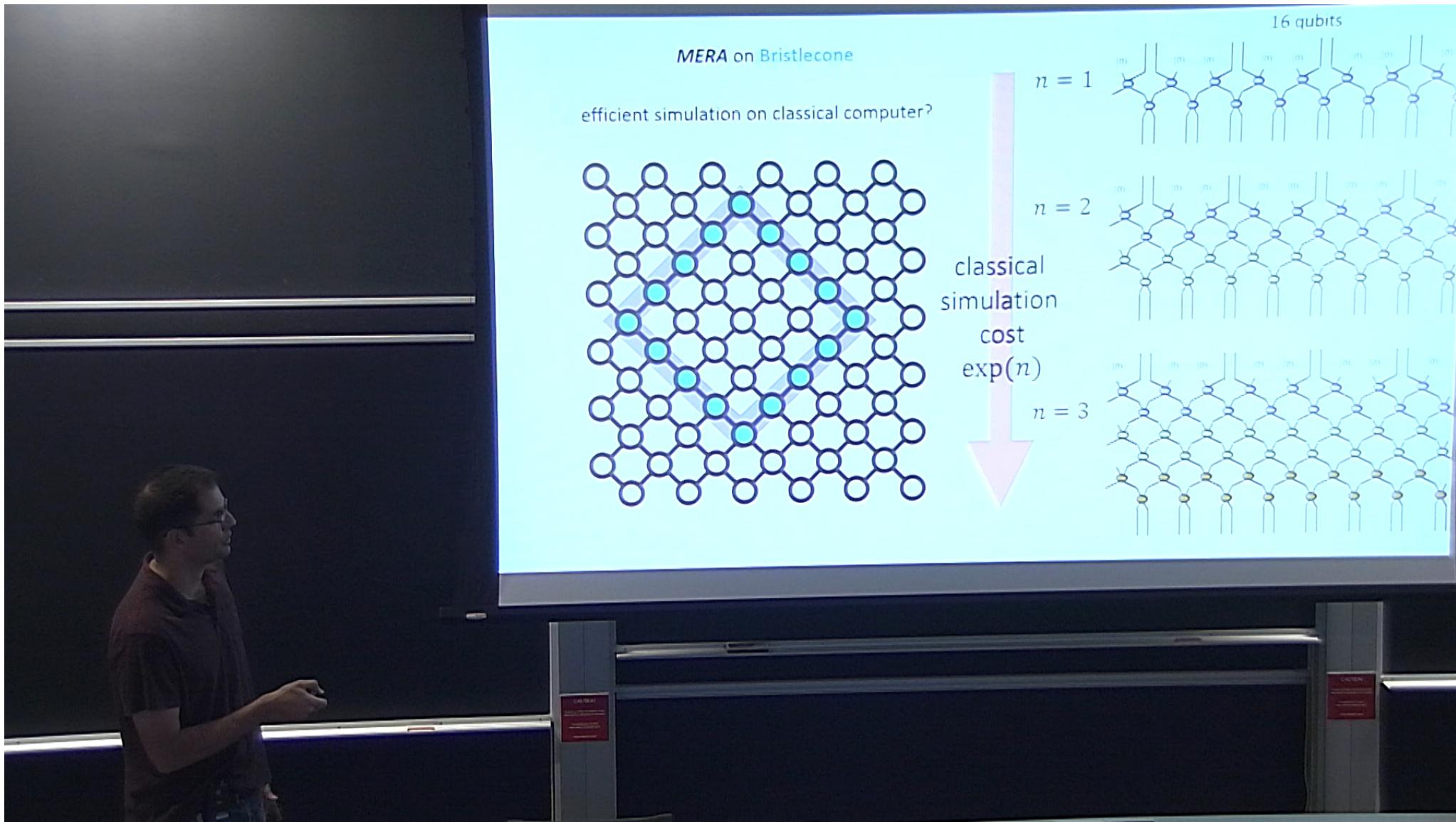


MERA on Bristlecone

efficient simulation on classical computer?



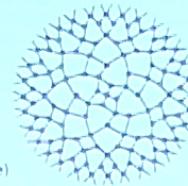




Why should we implement *MERA* on *Bristlecone* ?

Preparation of landmark entangled states

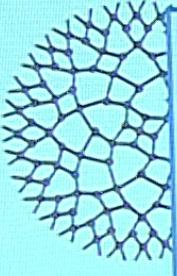
- logarithmic scaling of entanglement
- power-law decay of correlations
- CFT ground states (AdS/CFT correspondence)



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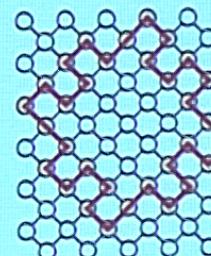
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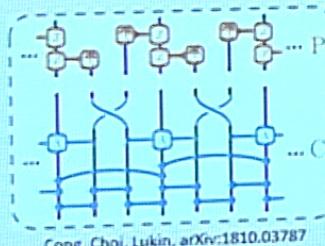
Benchmarking Bristlecone

- classical simulation available for benchmarking
- may suggest new routes to challenge quantum supremacy



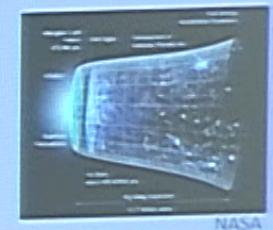
Quantum convolutional neural network

- quantum machine learning
- identify phases of quantum matter



Quantum cosmology

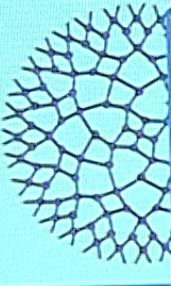
- quantum simulation of inflation in early universe cosmology
- quantum fluctuations as seeds for large scale formation



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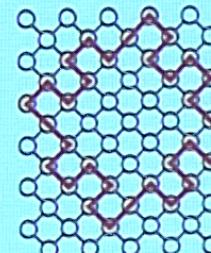
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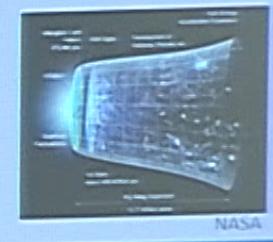
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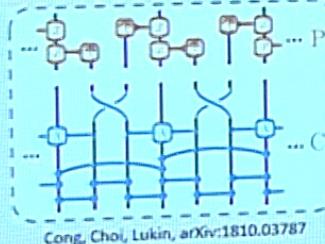
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Quantum convolutional neural network

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Hybrid classical-quantum optimization

- outperform classical simulations by quantum enhancement

