

Title: Gravitational Waves Experiments 3

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URL: <http://pirsa.org/18070039>

Abstract:



Gravitational Waves: Experimental Techniques **3**

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TRISEP 2018 - Perimeter Institute

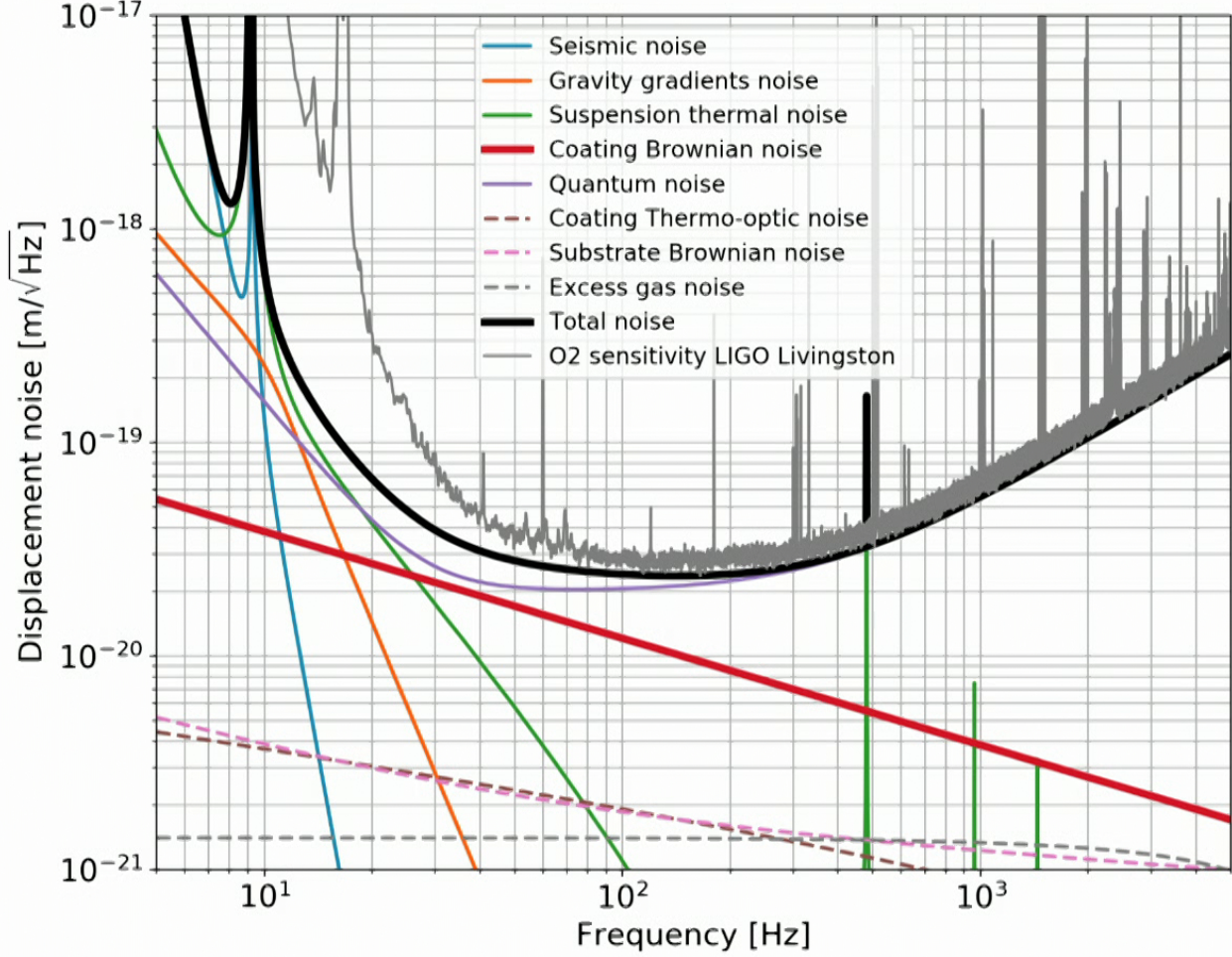


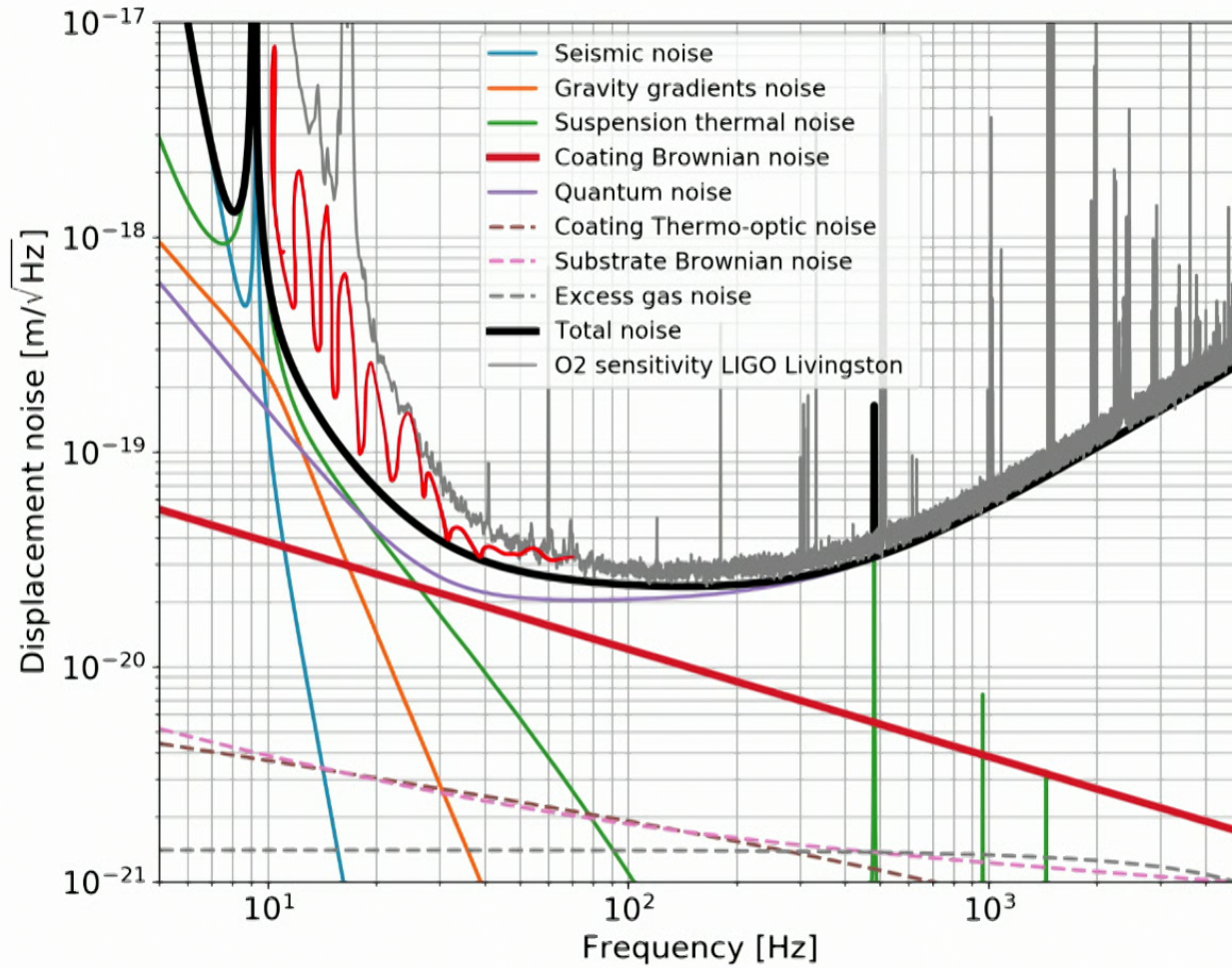
- **Lecture 1:** the basics of interferometric detection of gravitational waves
- **Lecture 2:** fundamental noise sources (seismic, thermal and quantum noises)
- **Lecture 3:** the dirty reality of "technical noises" (scattered light, control noise, etc...) and prospects for the future

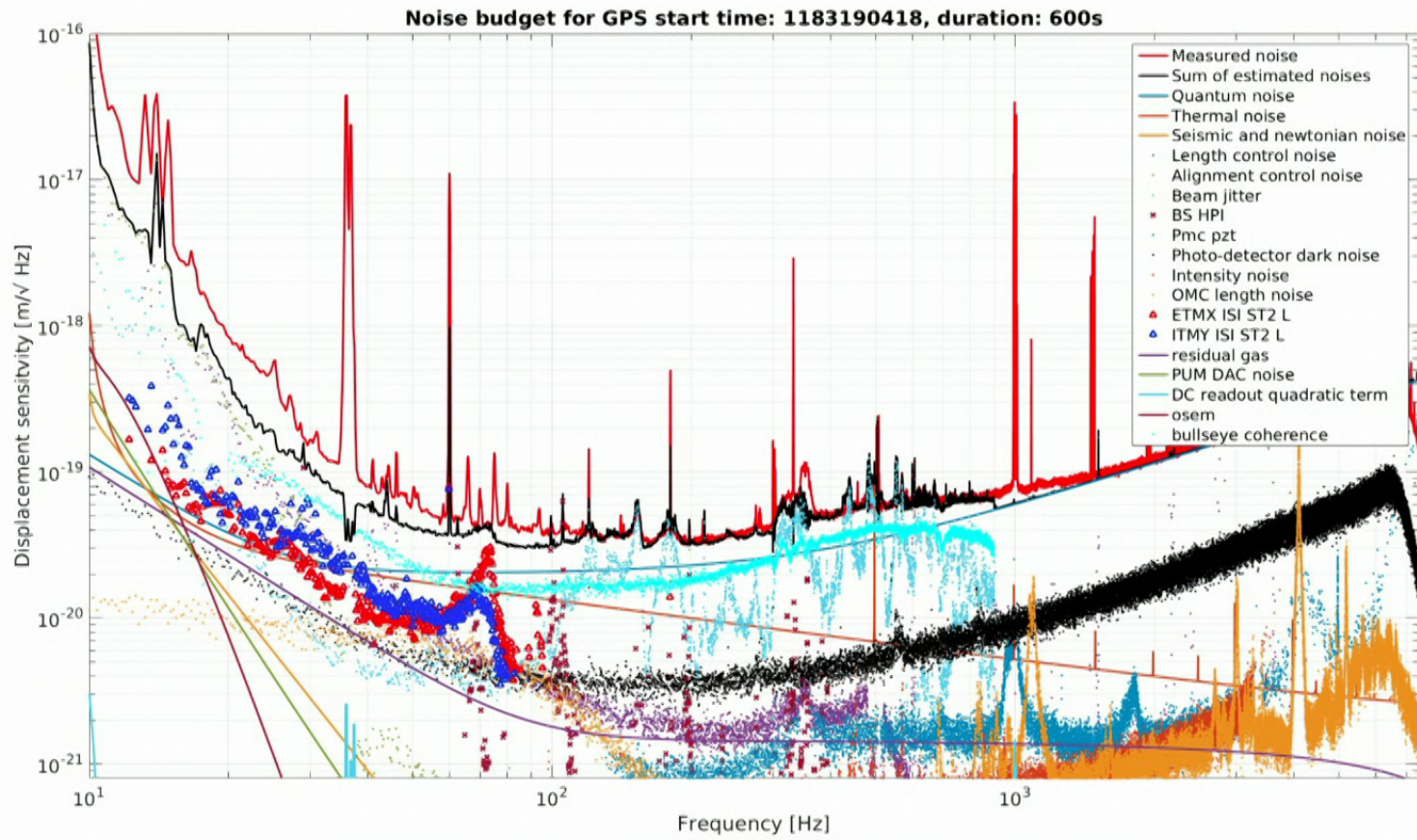
TECHNICAL NOISE SOURCES



Advanced LIGO design

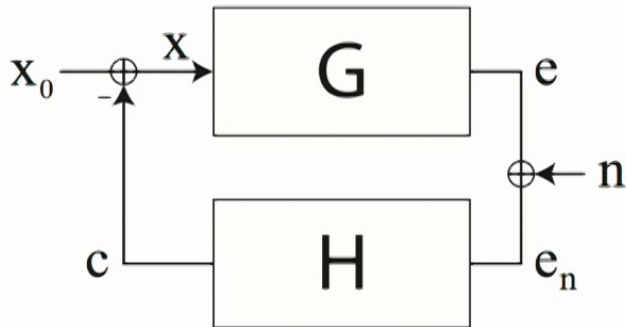






- Feedback control noise: longitudinal and angular
- Laser noises: frequency, intensity, jitter
- Electronic noises
- Scattered light
- Environmental noises: acoustic, electromagnetic, seismic





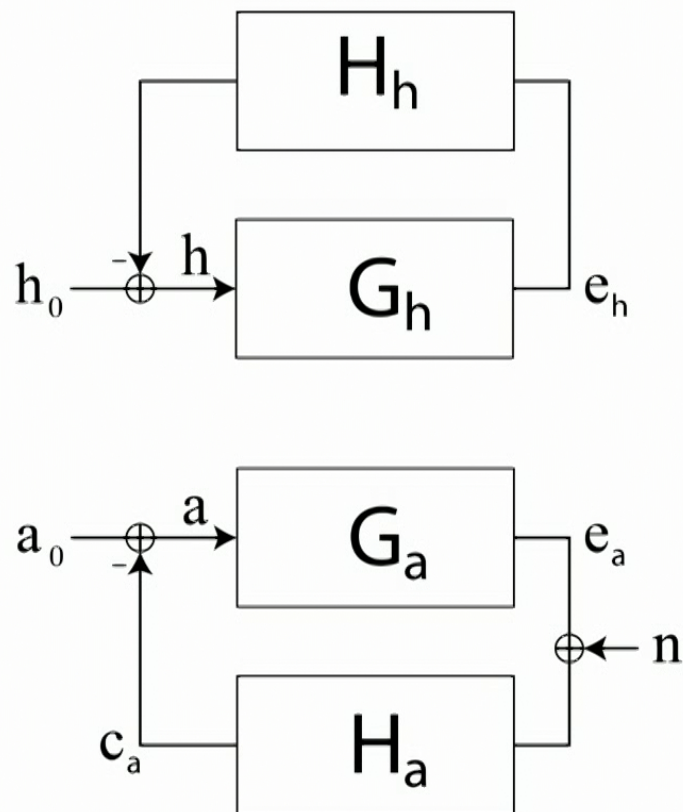
$$\hat{x} = \frac{\hat{x}_0}{1 + HG} - \frac{HG}{1 + HG} \left(\frac{\hat{n}}{G} \right)$$

$$\hat{e} = \hat{x}_0 \frac{G}{1 + HG} - \frac{HG}{1 + HG} \hat{n}$$

$$\hat{e}_n = \frac{G\hat{x}_0 + \hat{n}}{1 + HG}$$

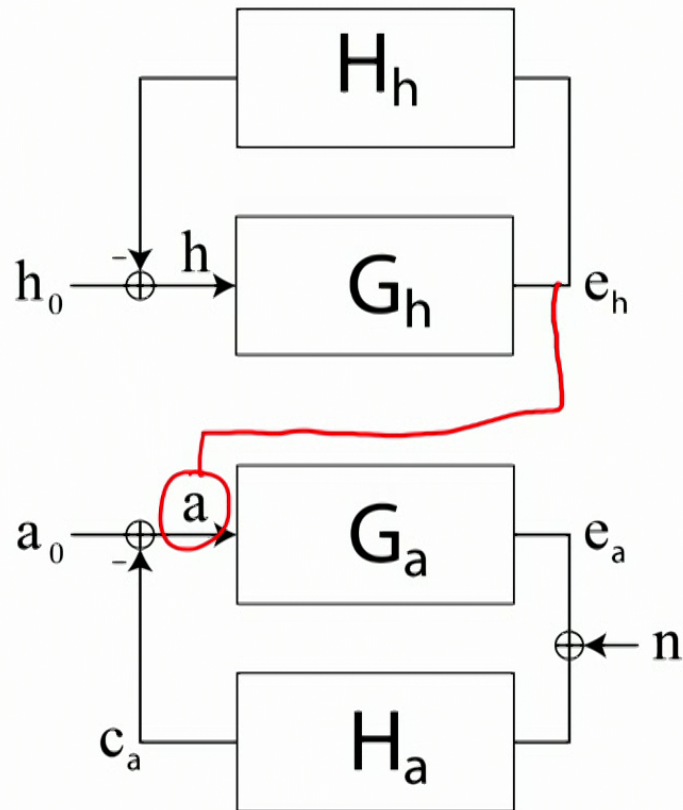
Why does it matter?

- Our system is not completely diagonal: auxiliary degrees of freedom couple into the main GW channel



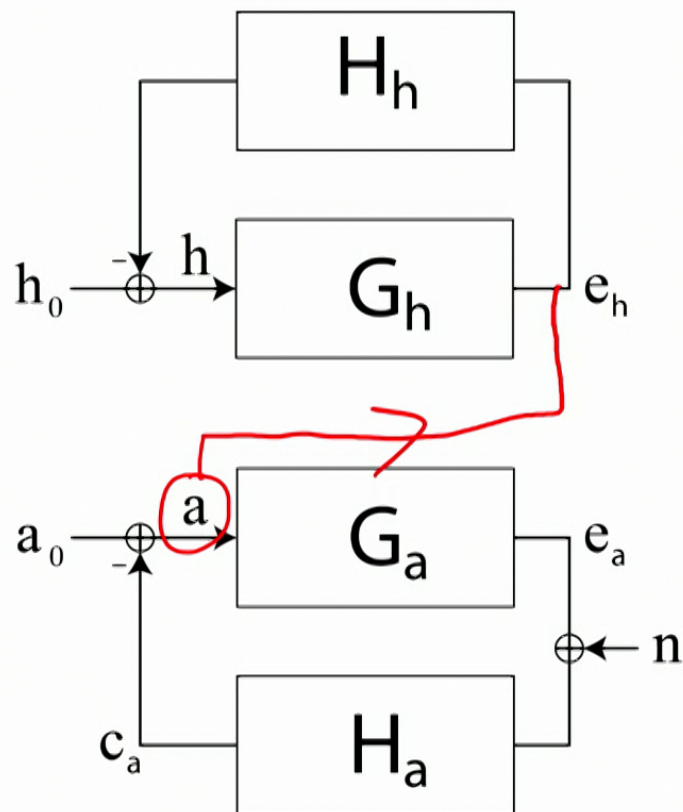
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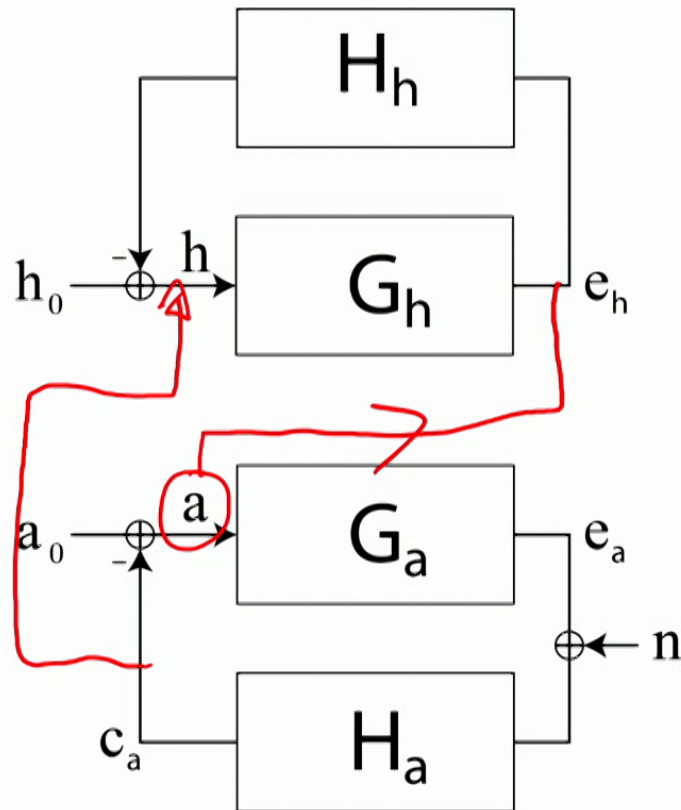
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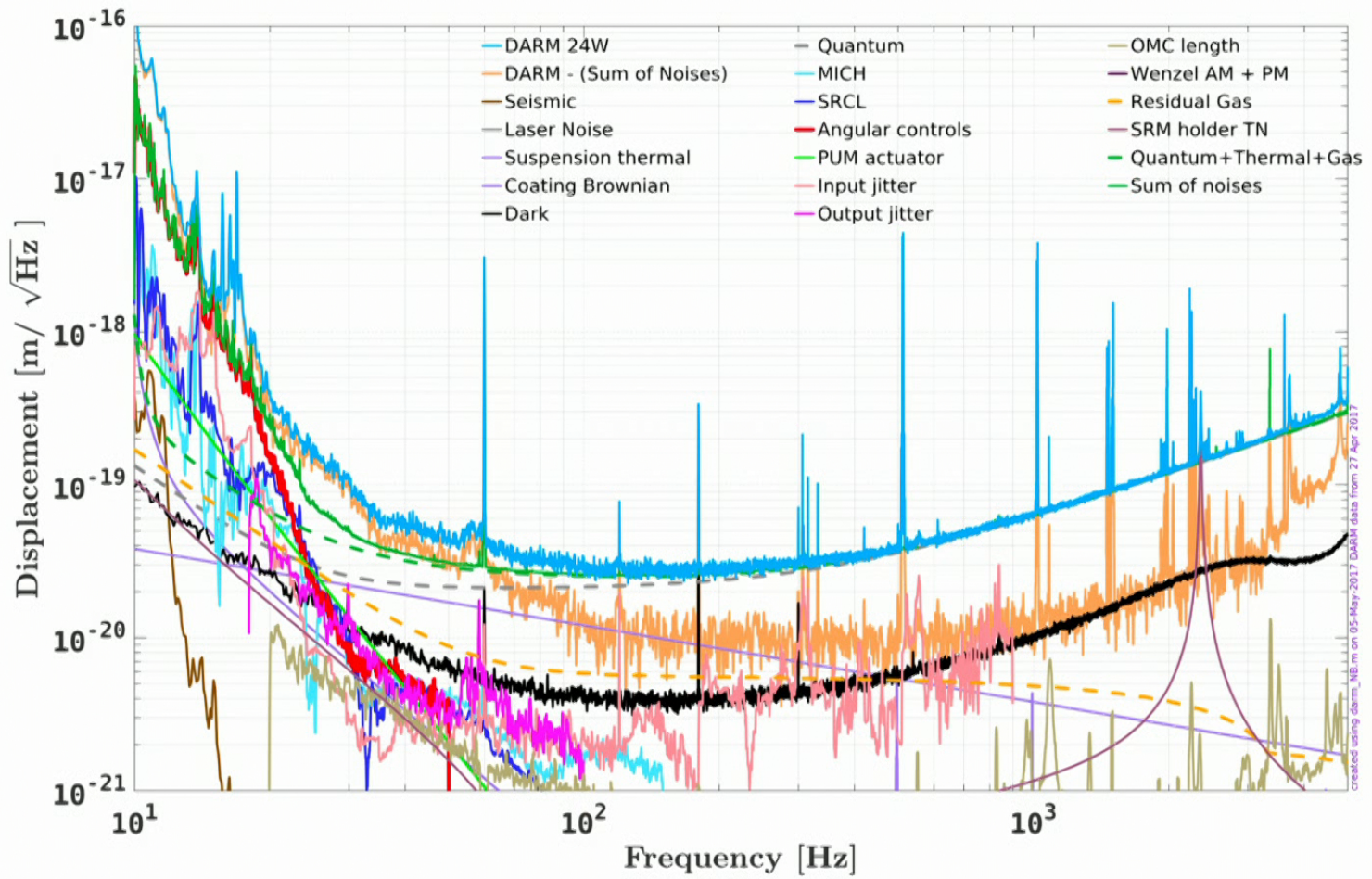
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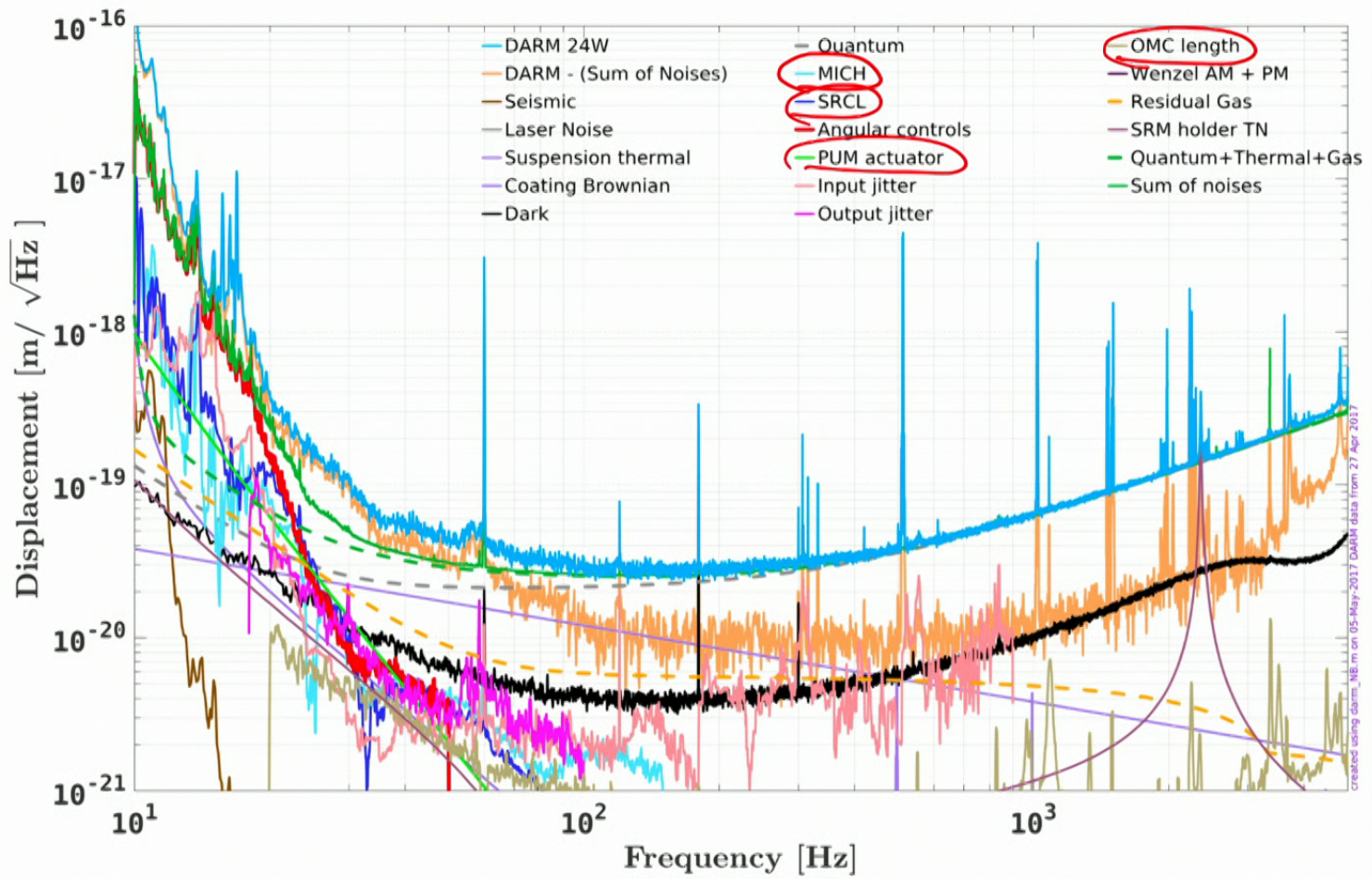


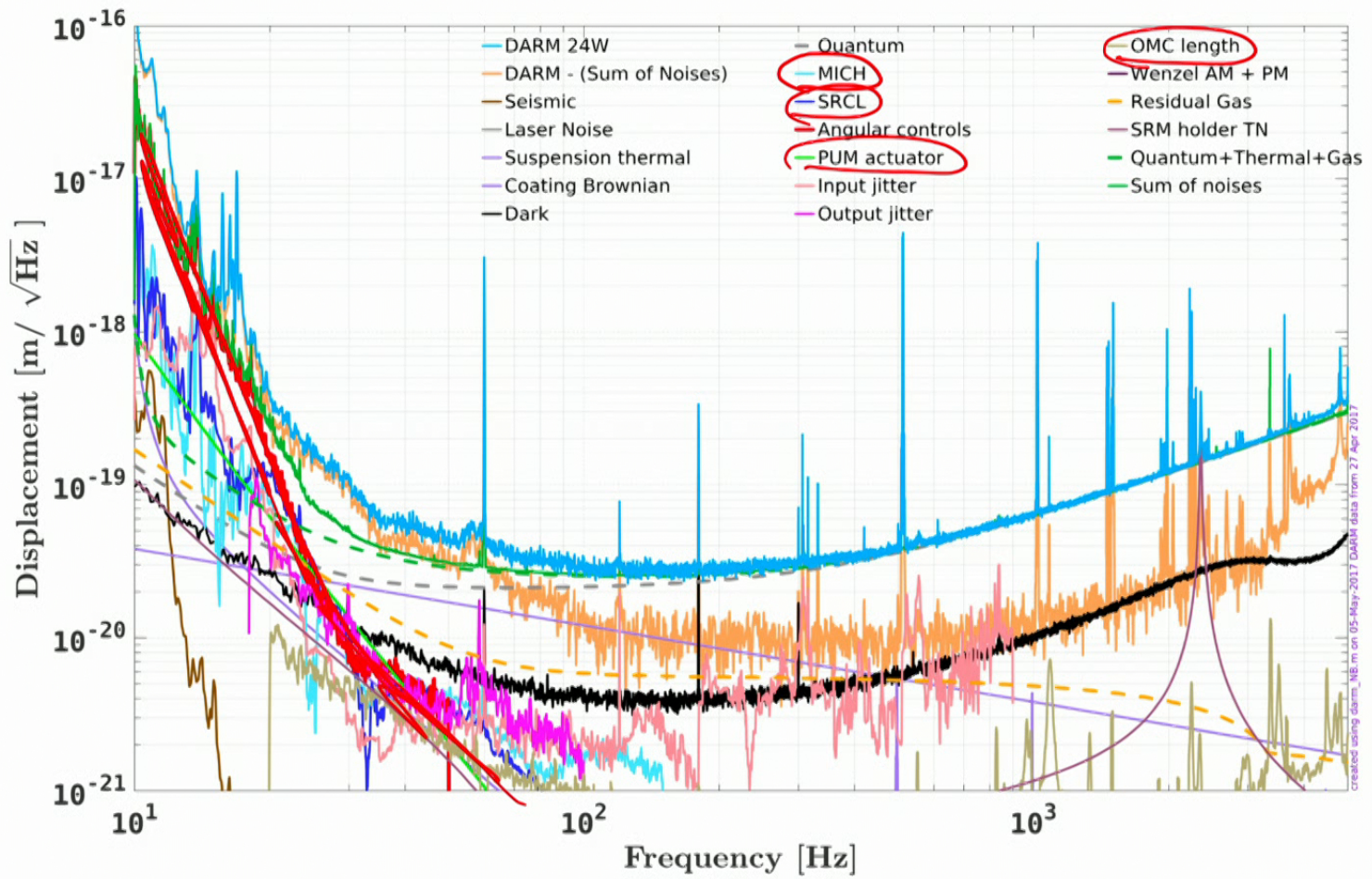
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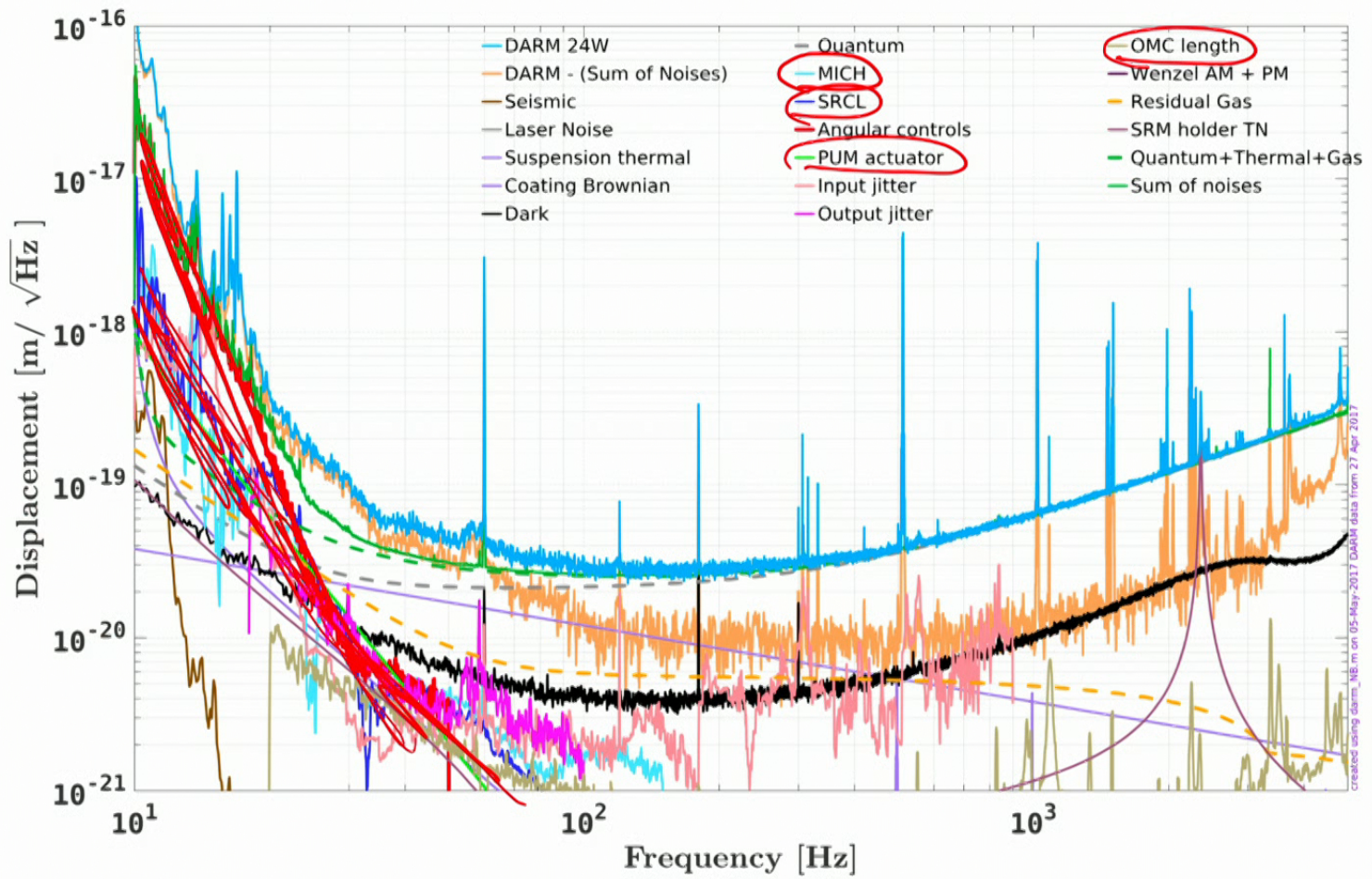
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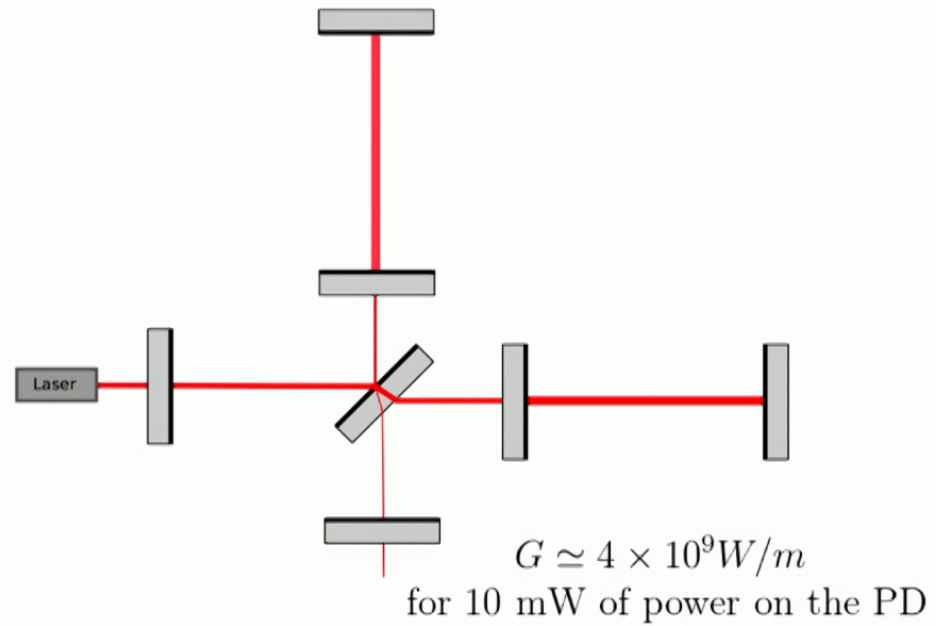




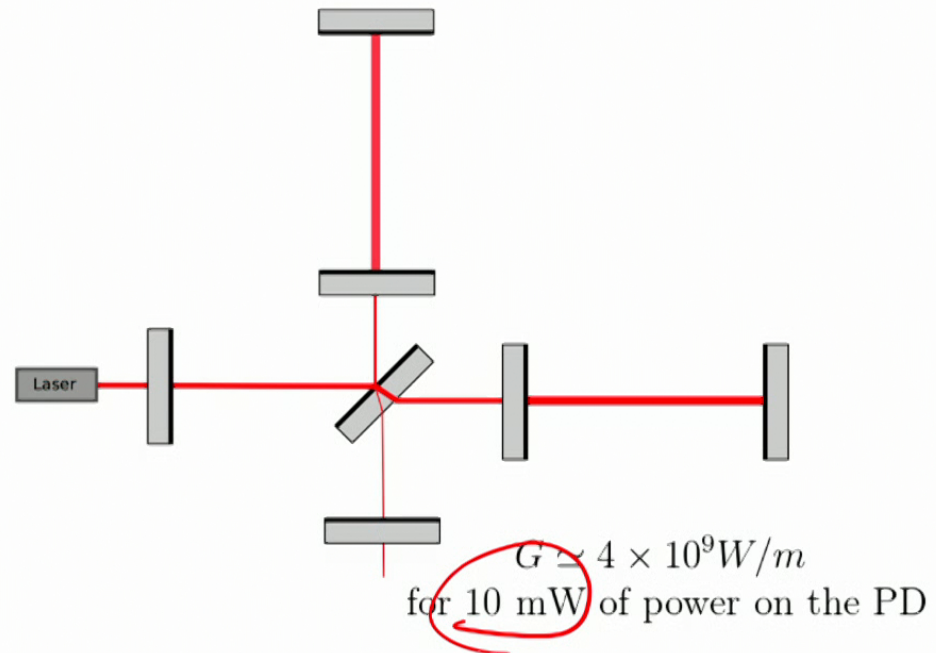




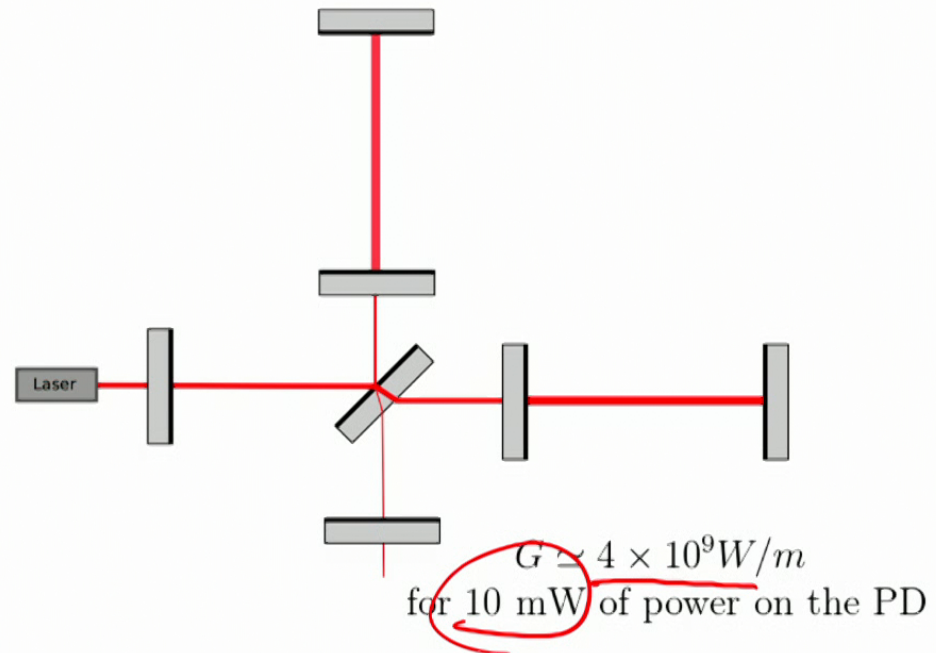
- We measure the GW signal in a Michelson interferometer by measuring power fluctuations at the anti-symmetric port



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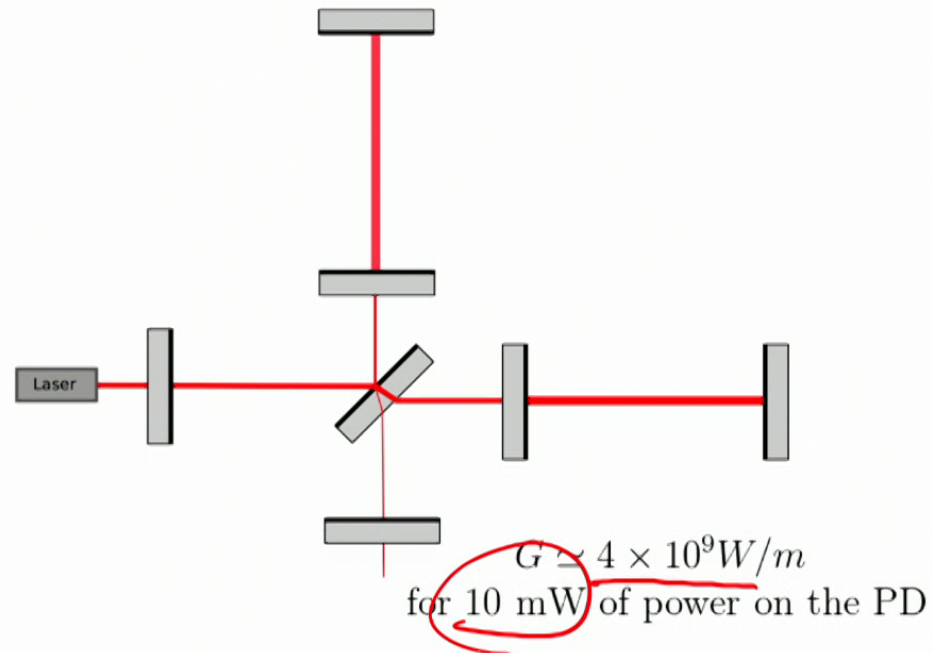


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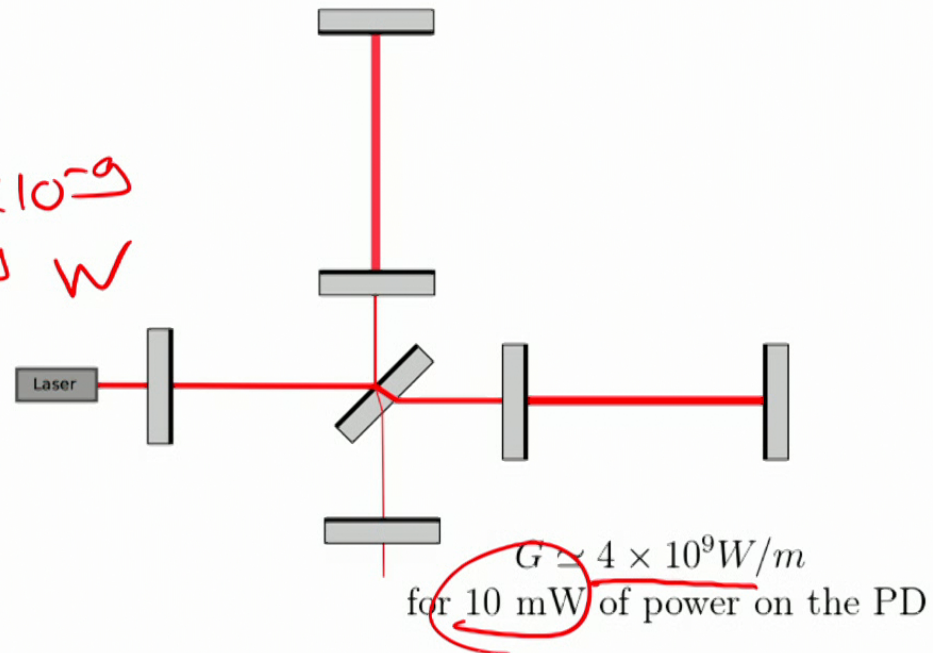
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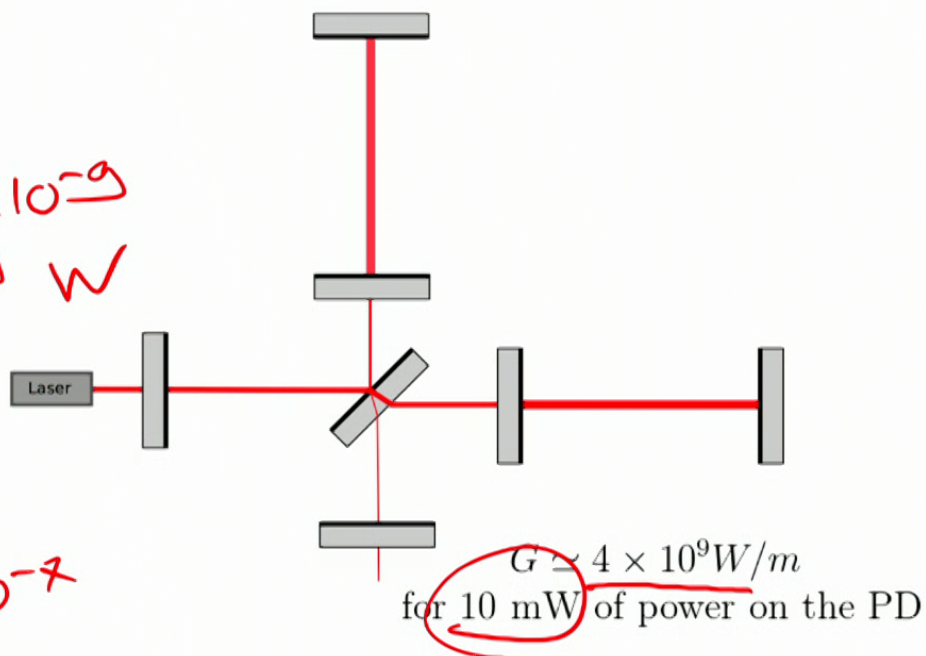


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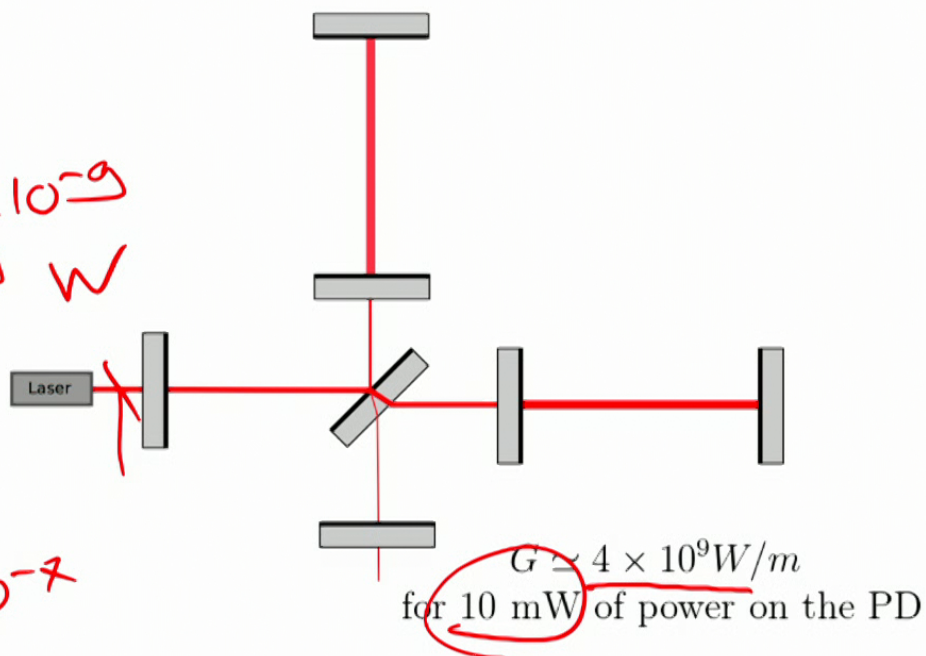


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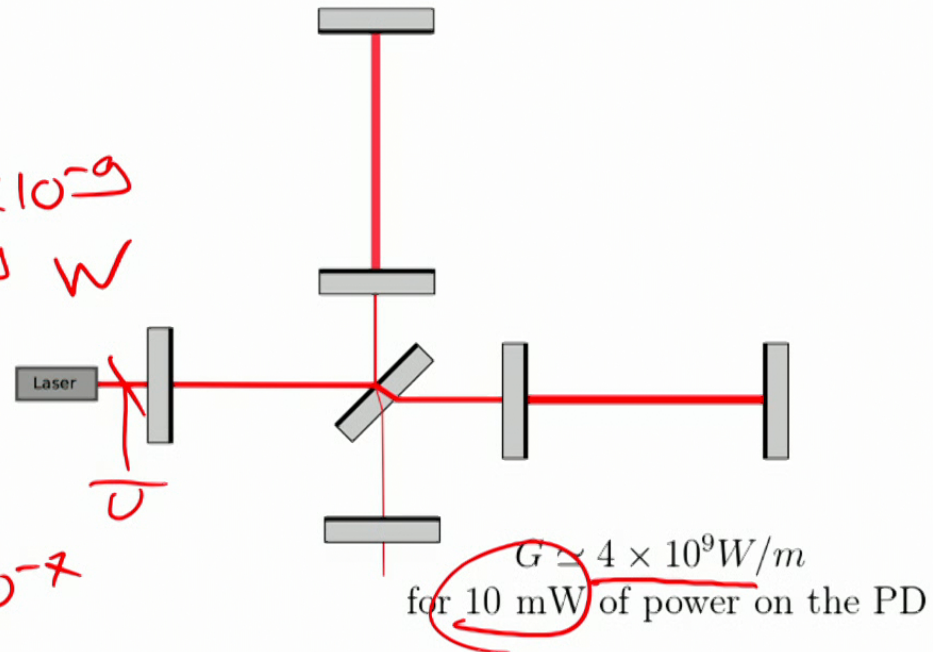


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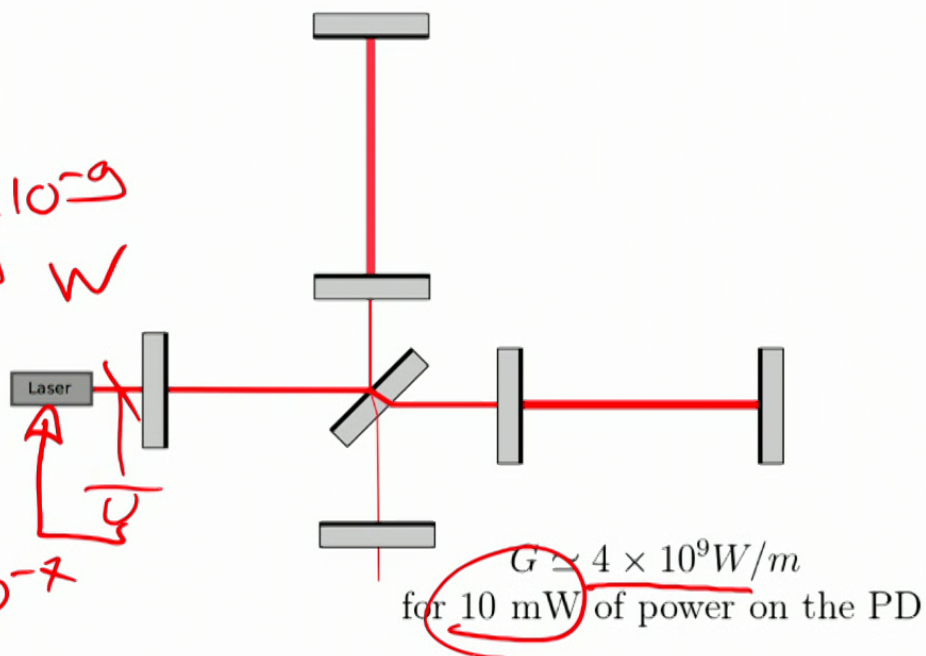


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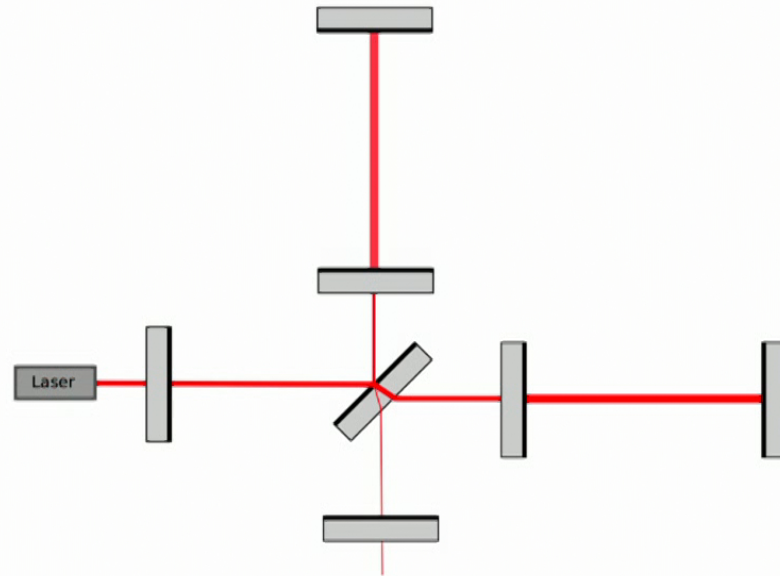
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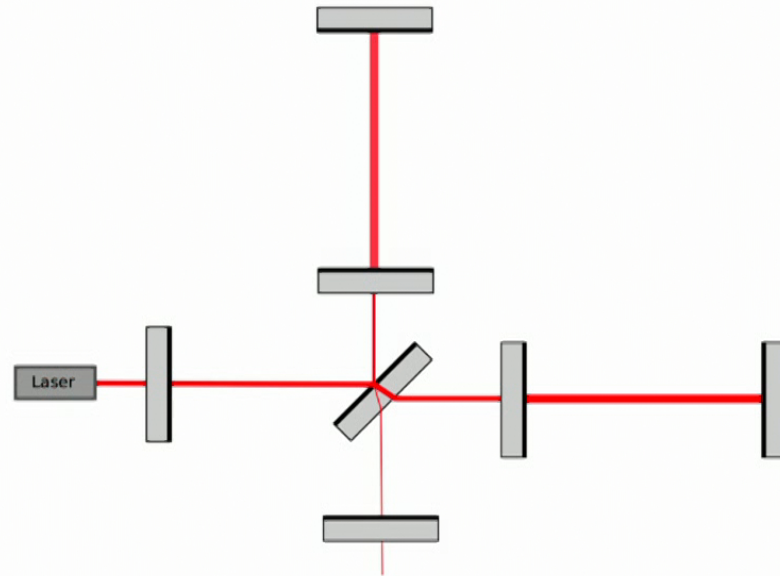
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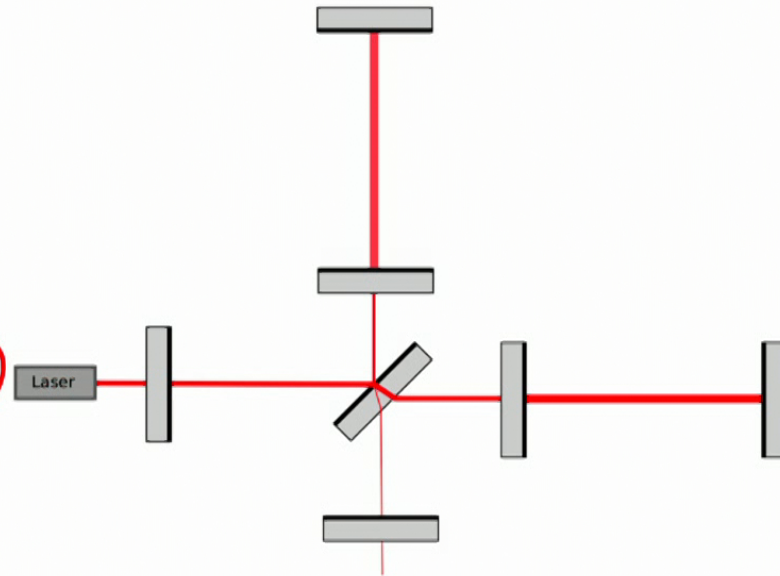
Laser noises: frequency



$E_0 e^{i k L}$



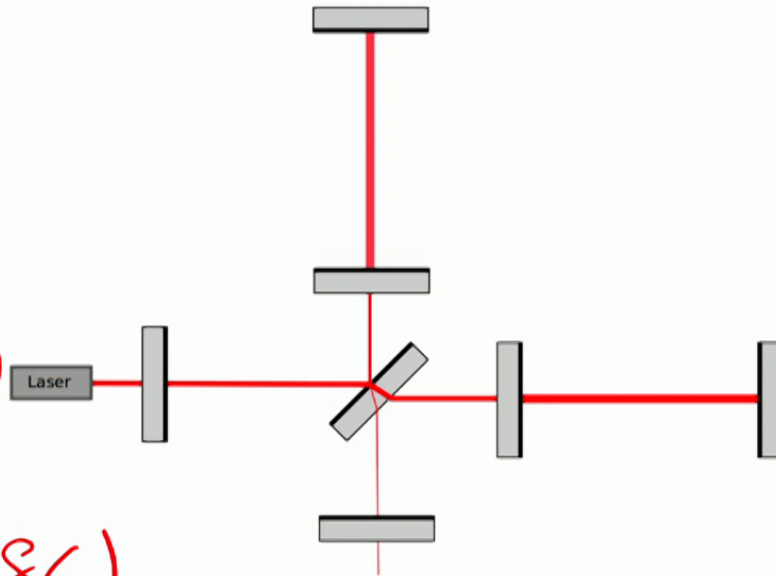
$E_0 e^{i(kL)}$
 $\rightarrow \frac{\omega_0}{c} (L_0 + 8L)$



$$E_0 e^{i(kL)}$$

$$\rightarrow \frac{\omega_0}{c} (L_0 + \delta L)$$

$$\frac{\omega_0 + \delta\omega}{c} (L_0 + \delta L)$$



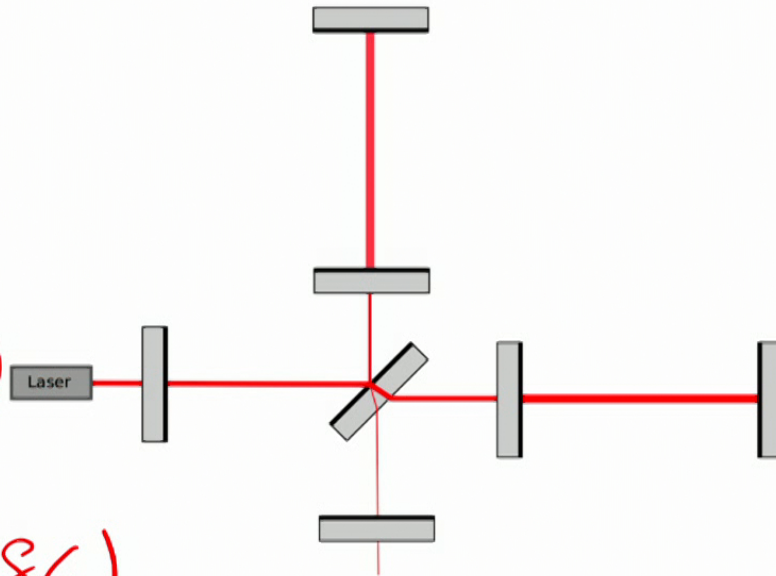
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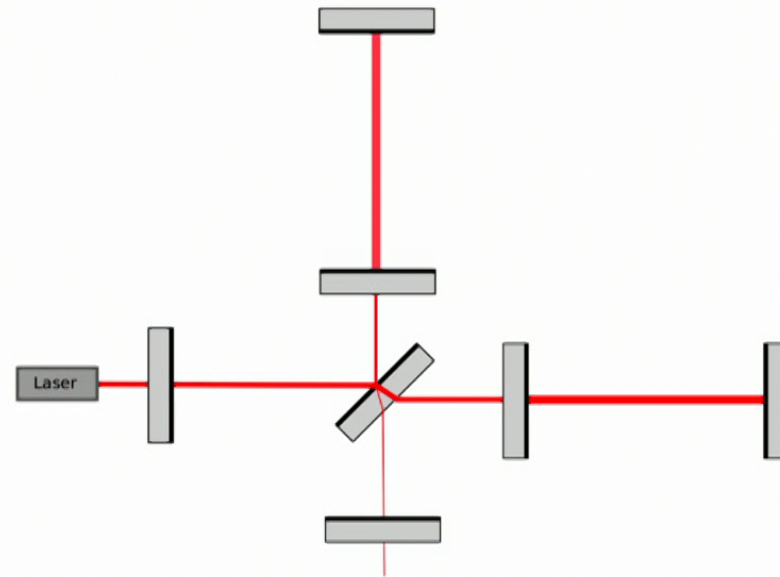
$$\frac{\delta\omega L_0}{c}$$

$$\frac{\omega_0 \delta L}{c}$$



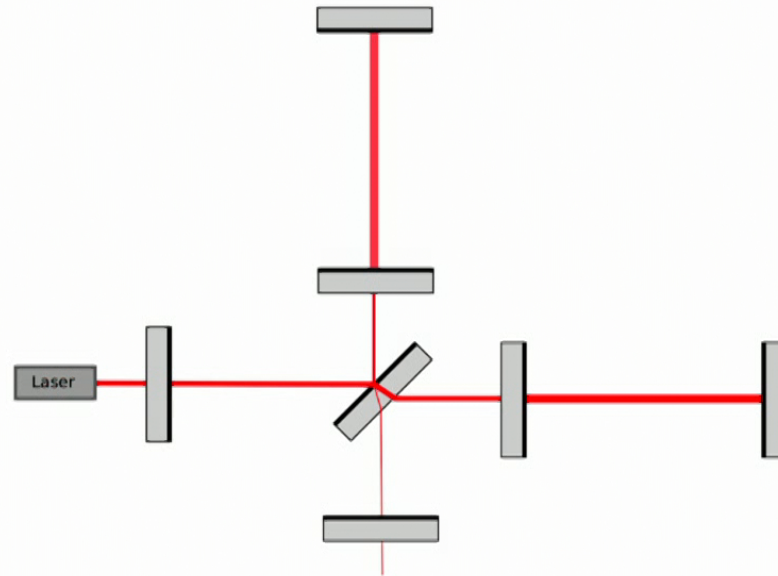
$$E \rightarrow Ee^{ikL} = Ee^{i\frac{\omega L}{c}}$$

$$\frac{\delta L}{L} = \frac{\delta \omega}{\omega}$$



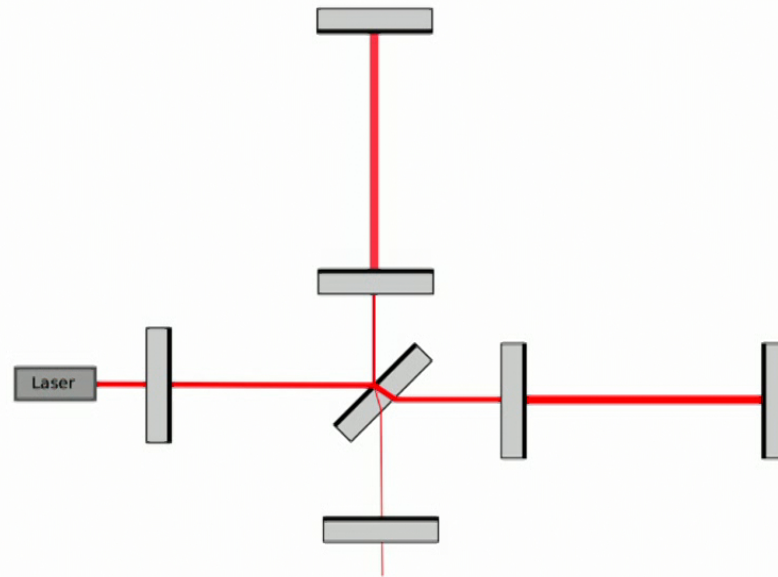
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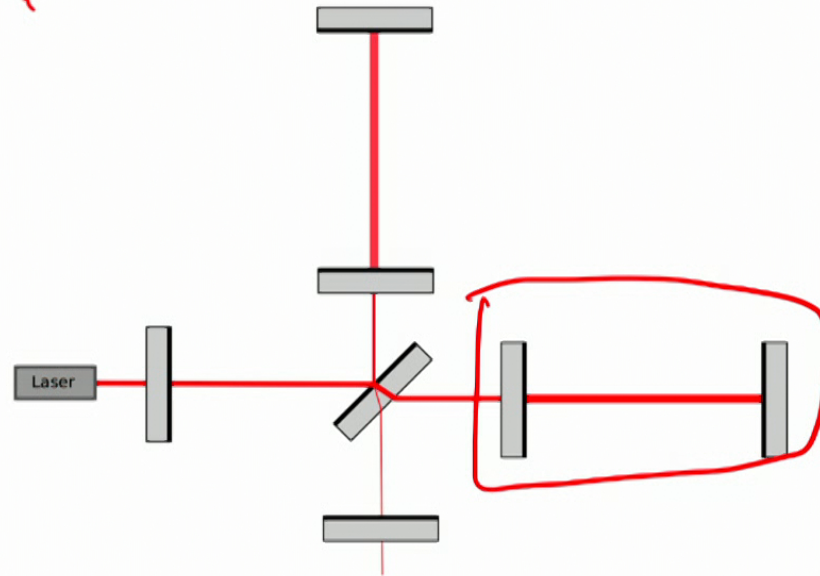
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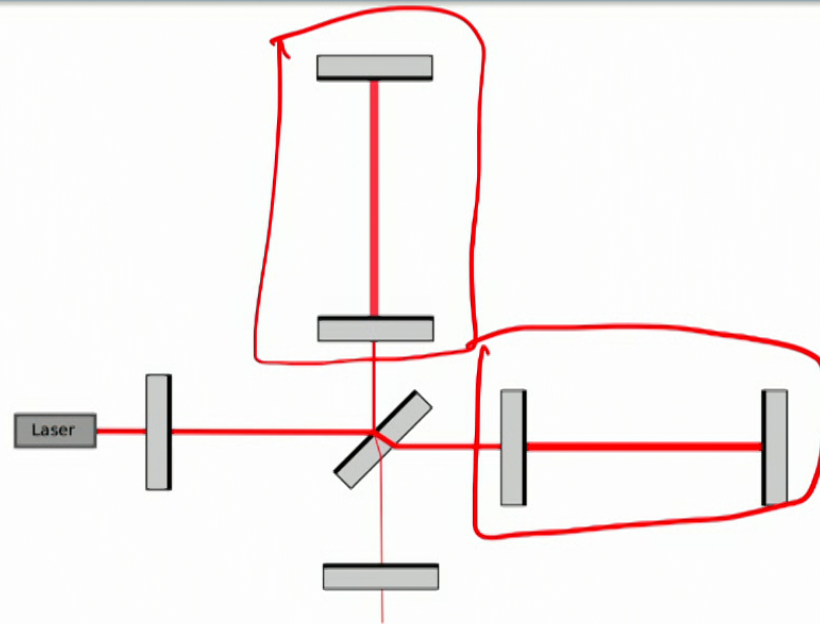
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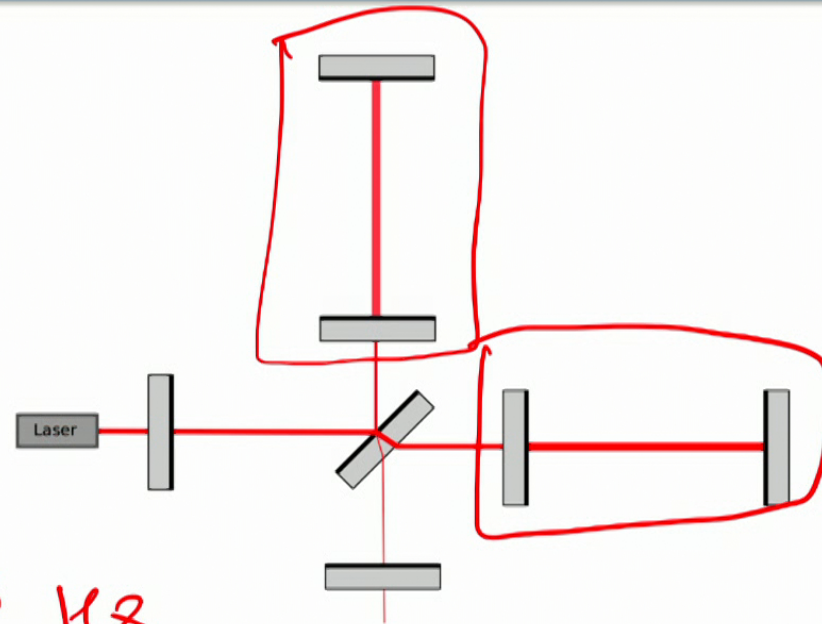
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$$\delta f \sim 10^{-3} \text{ Hz}$$

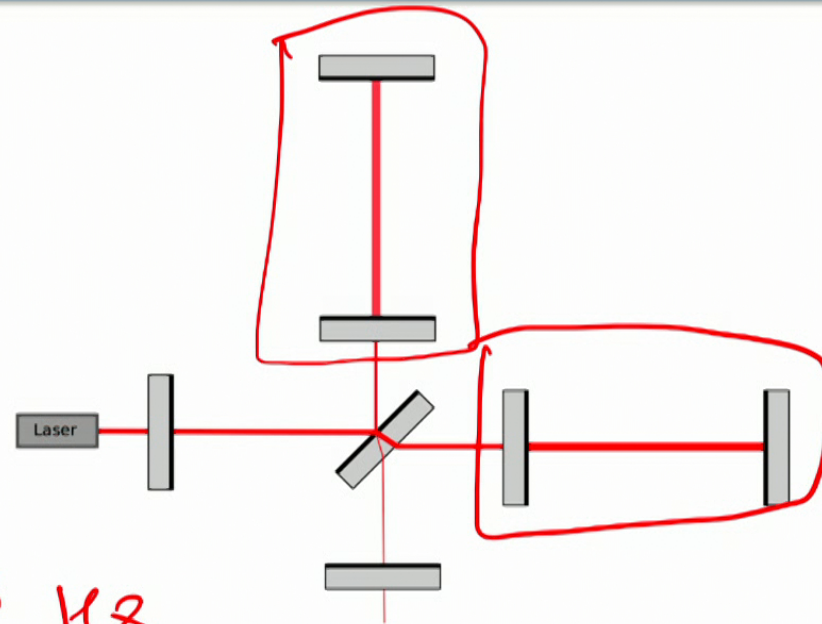
$$f_0 = 3 \times 10^{14} \text{ Hz}$$

$$\sim 10$$

$$\lambda = 1 \mu\text{m}$$

$$E \rightarrow E e^{ikL} = E e^{i\frac{\omega L}{c}}$$

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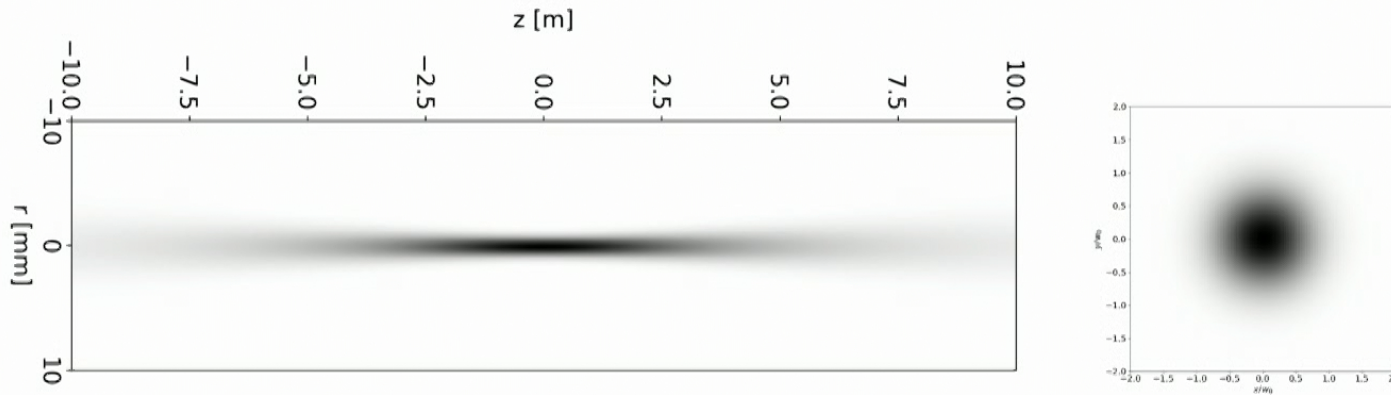


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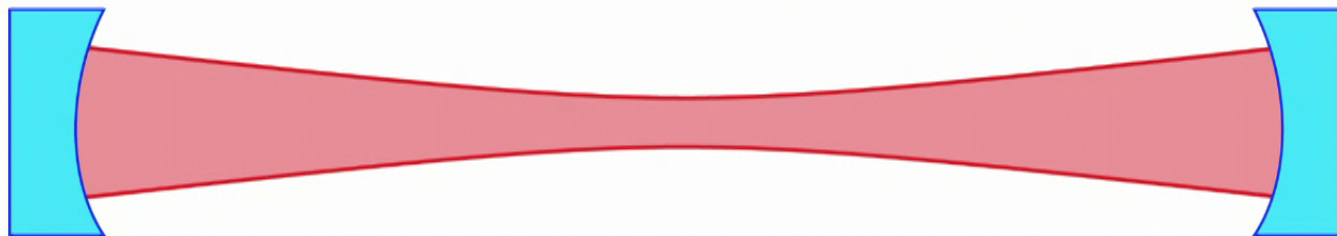
$$f_0 = 3 \times 10^{14} \text{ Hz}$$

$$\sim 10^{-17}$$

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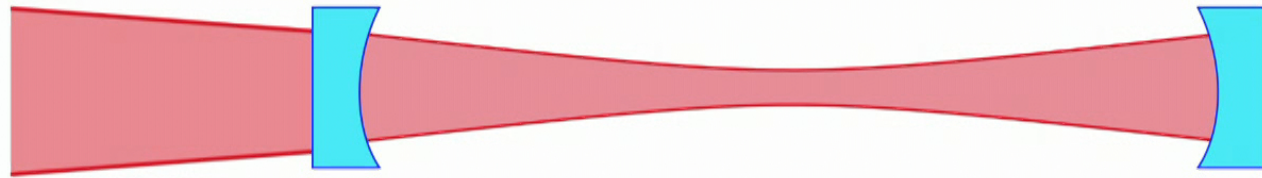


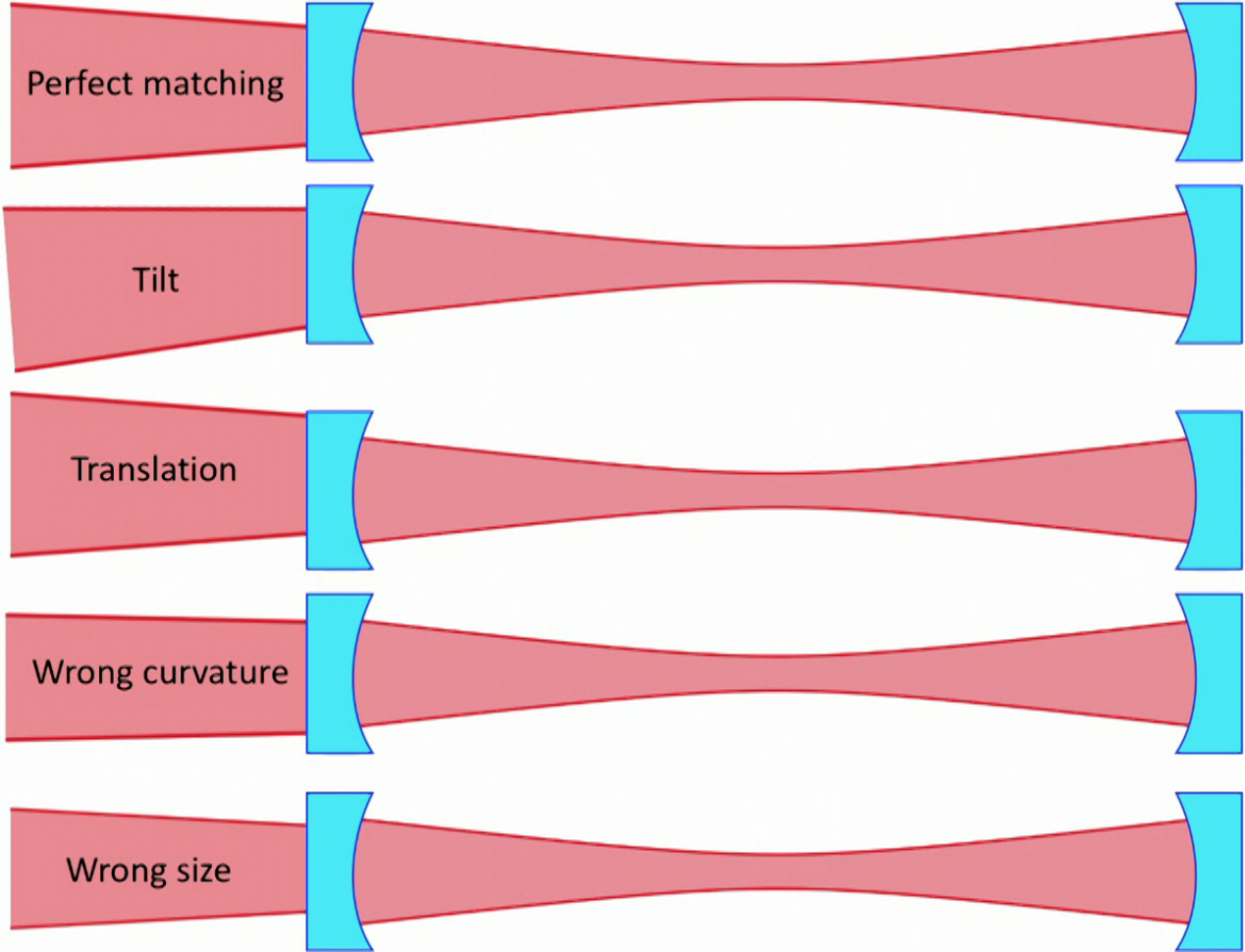
- Change in pointing direction and size of the laser beam

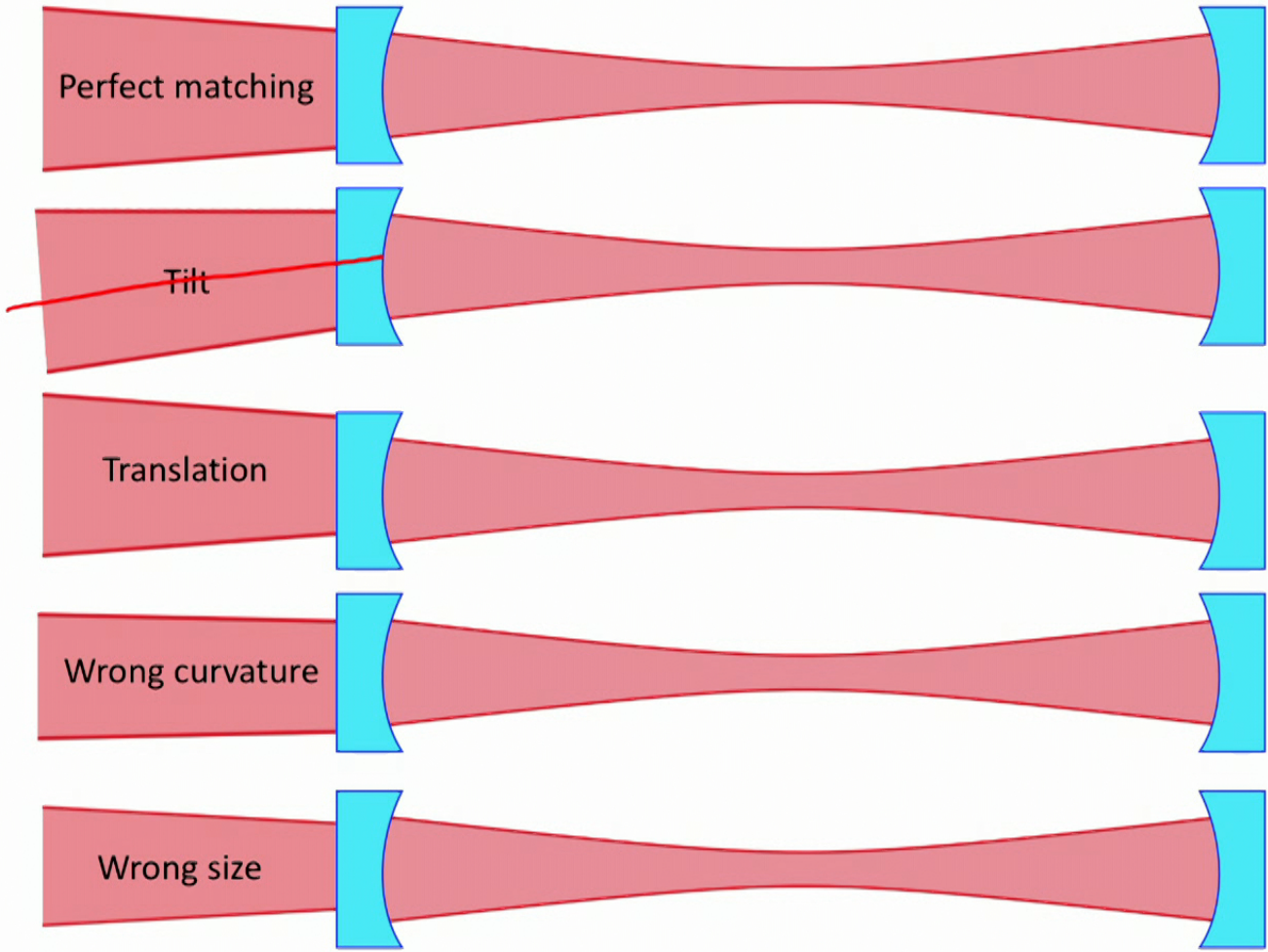


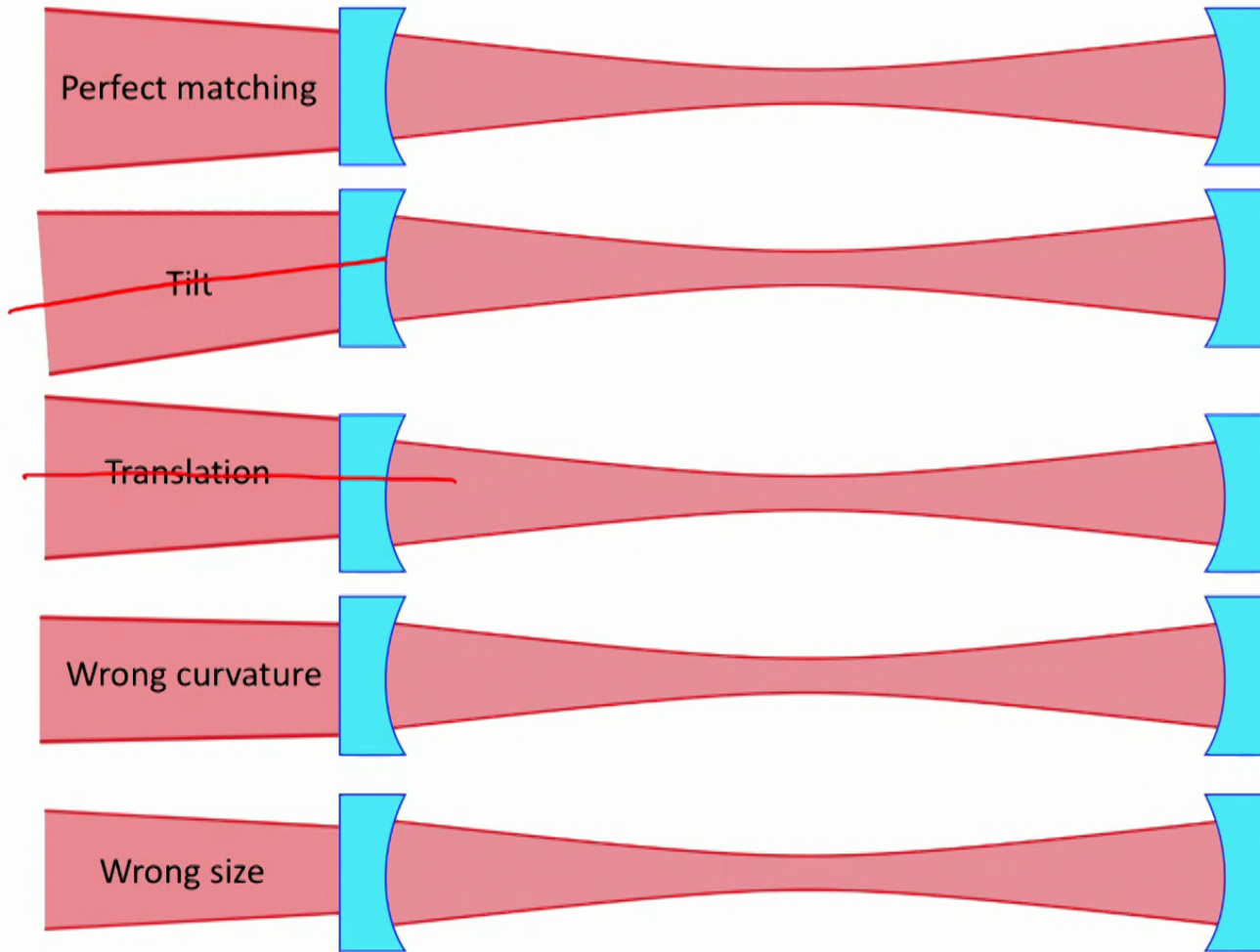


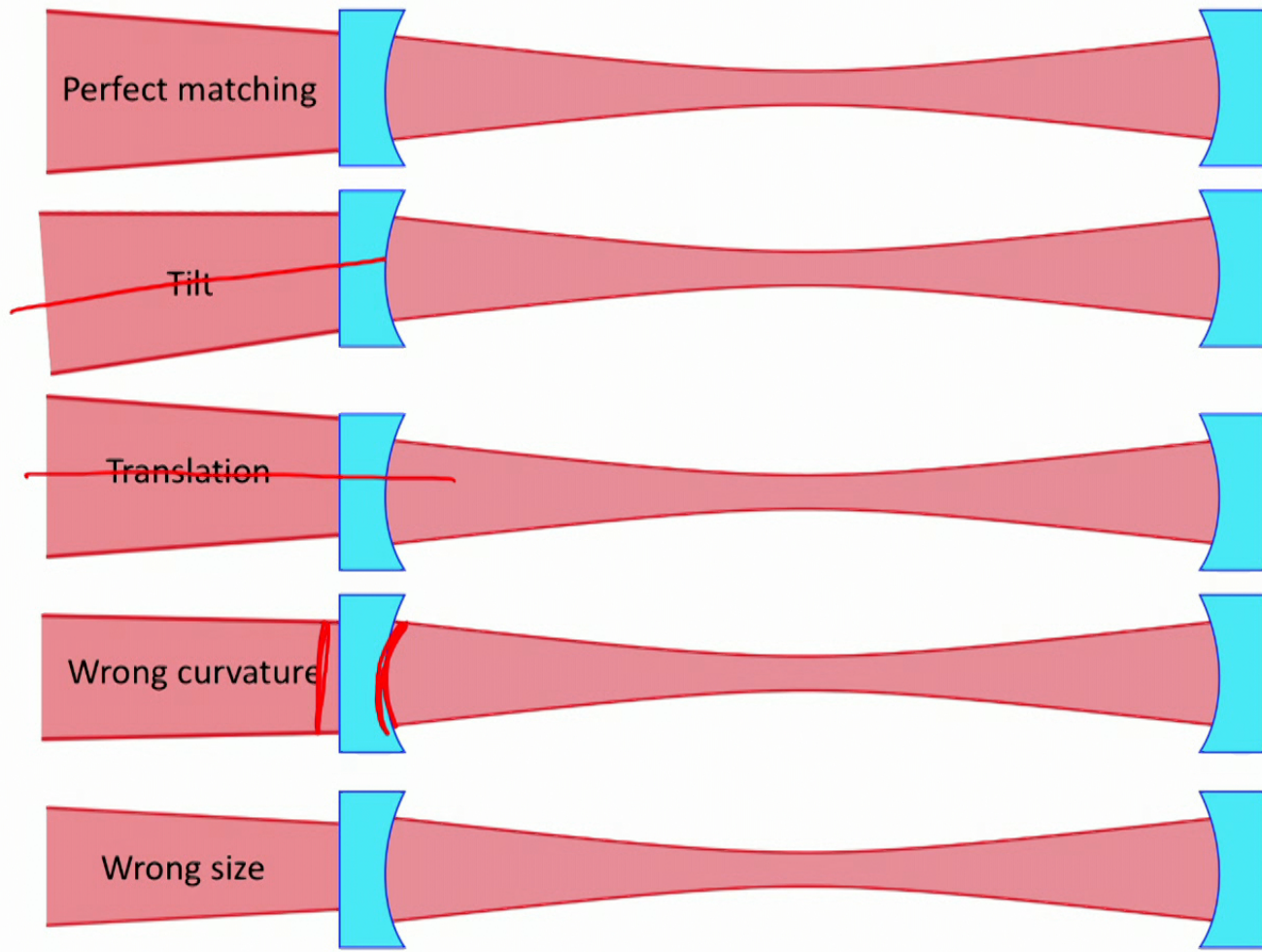
LIGO

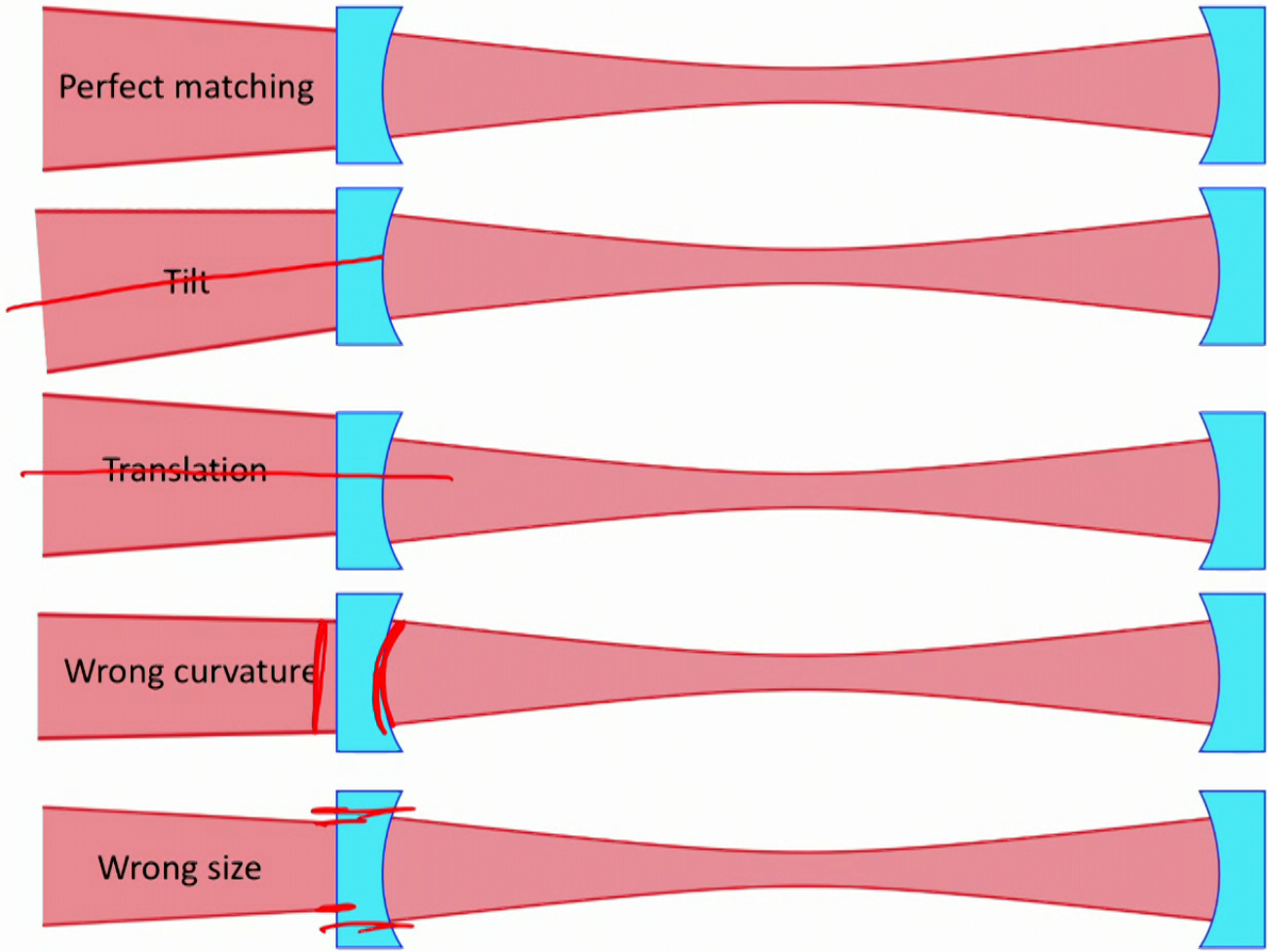


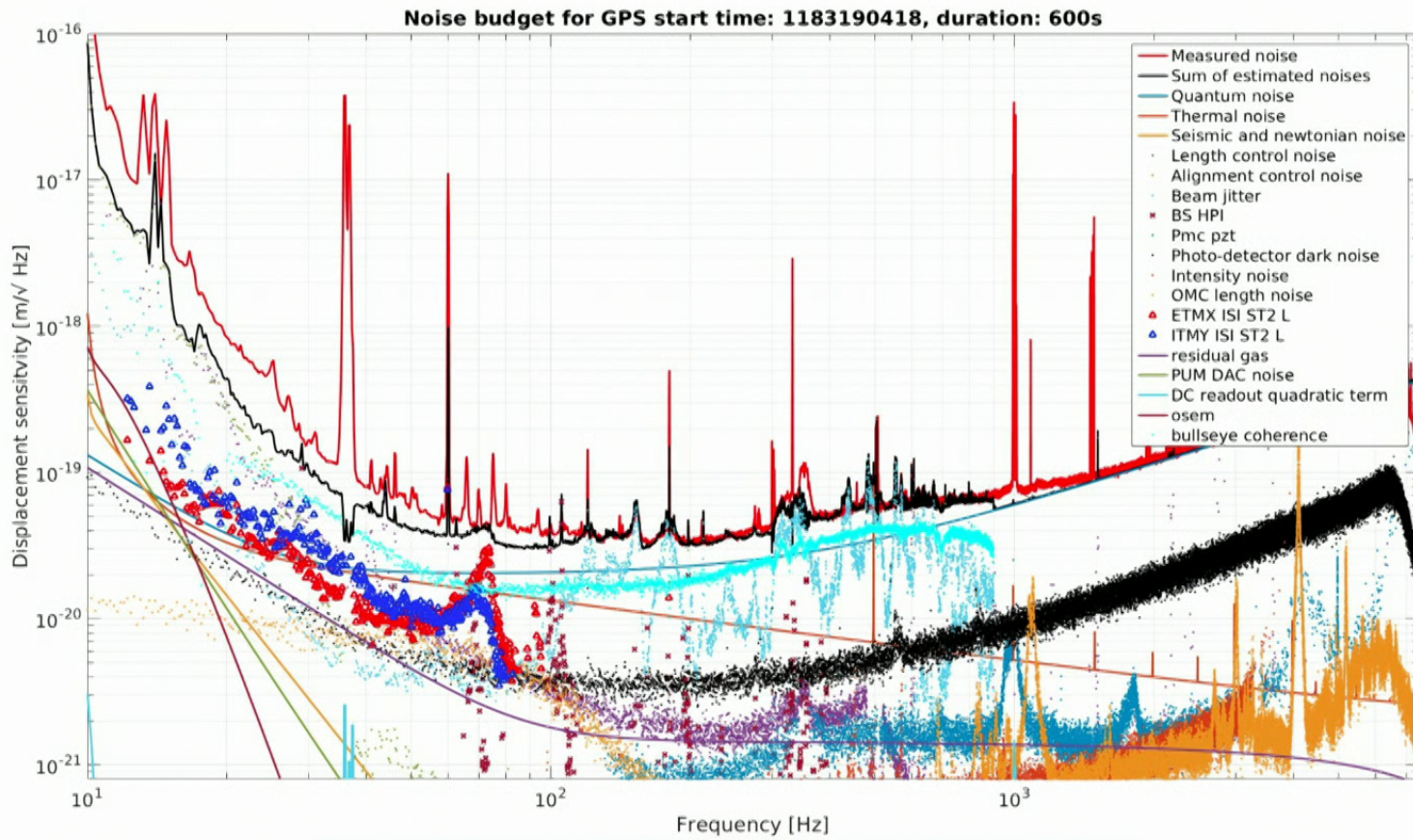


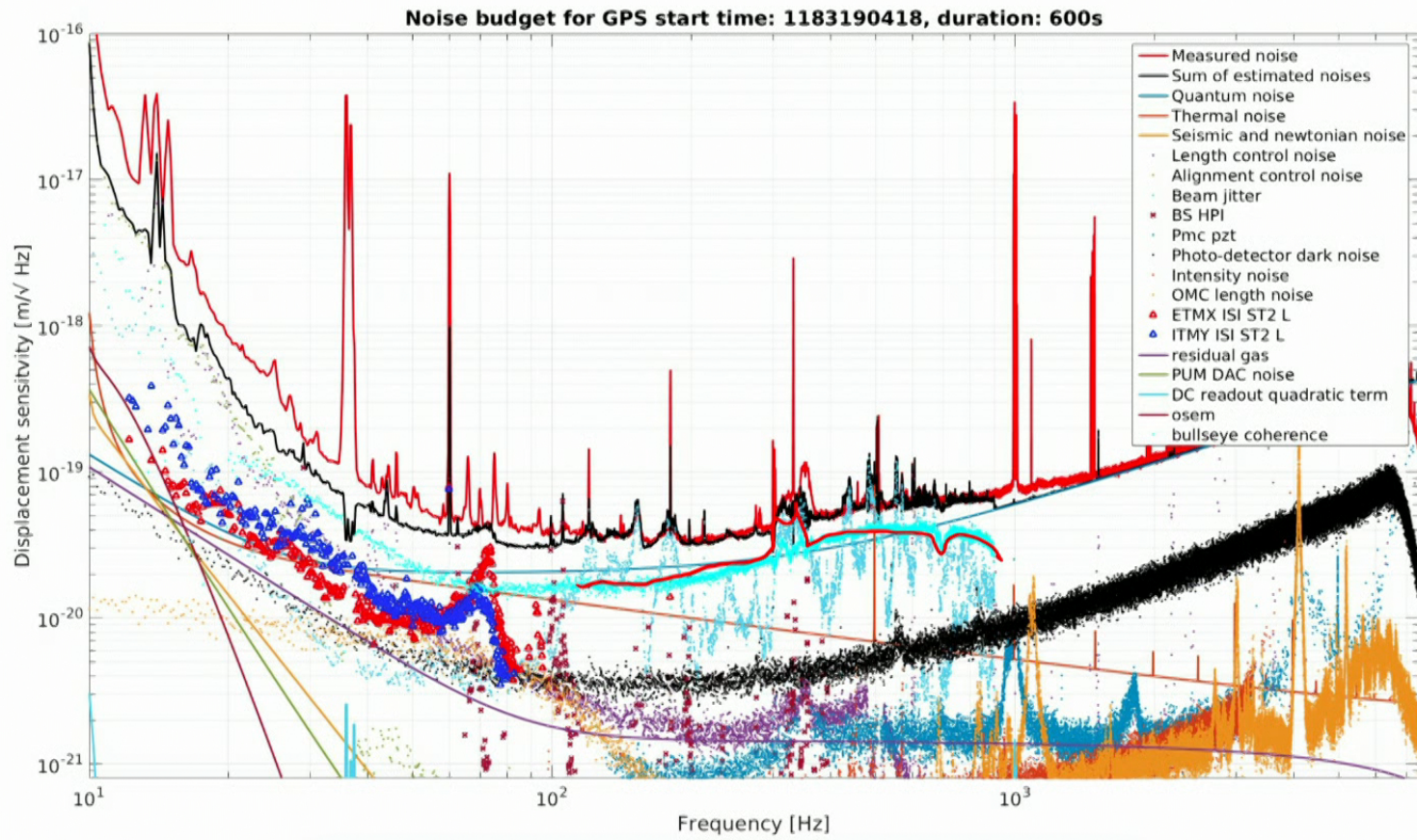


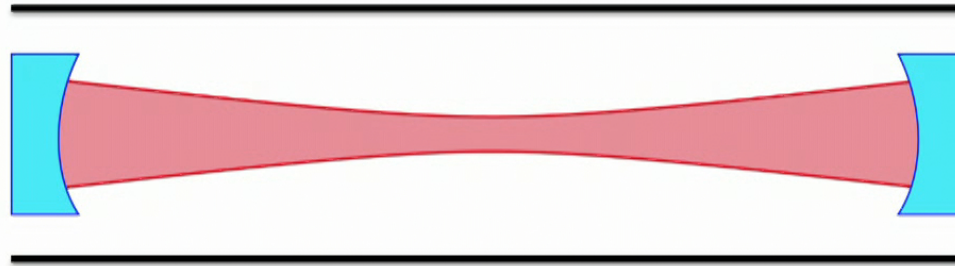


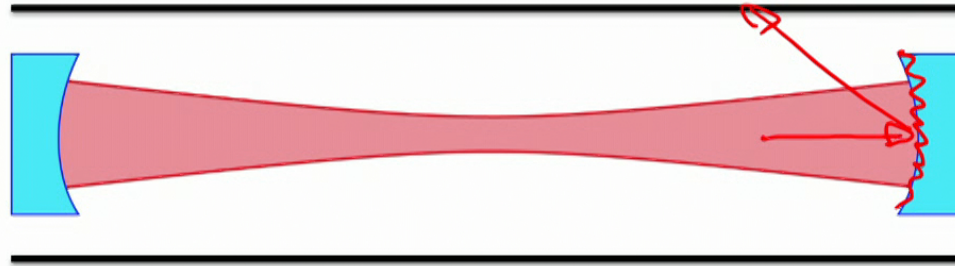




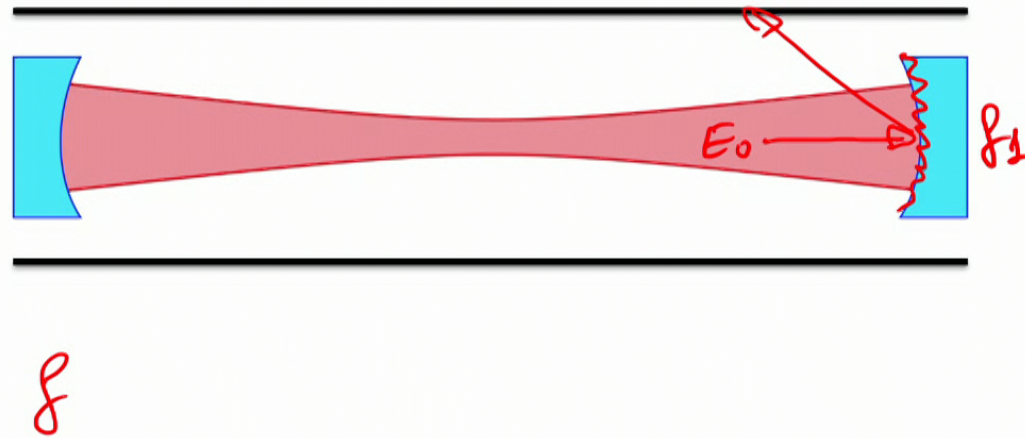




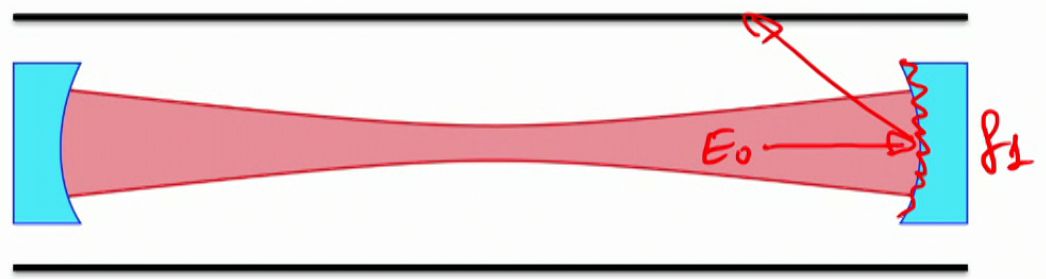




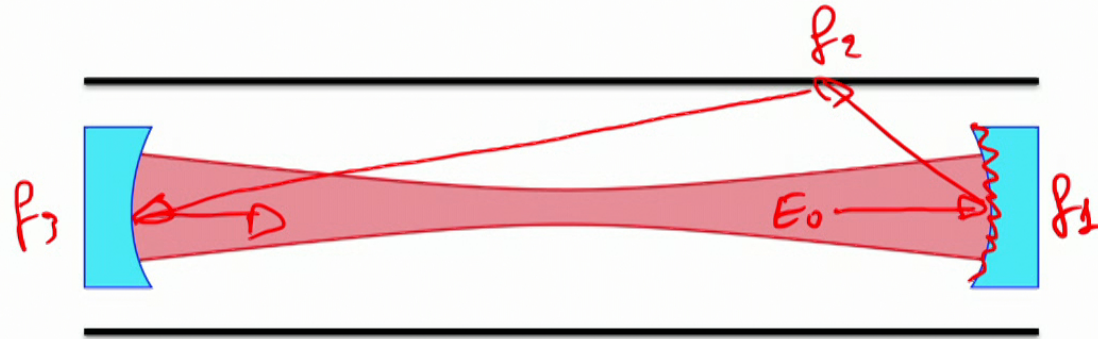
Scattered light



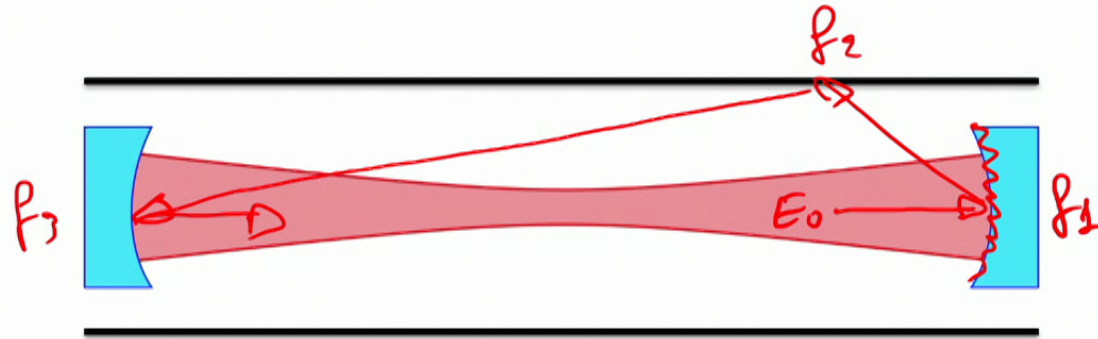
Scattered light



$$\mathcal{R}_1 E_0$$

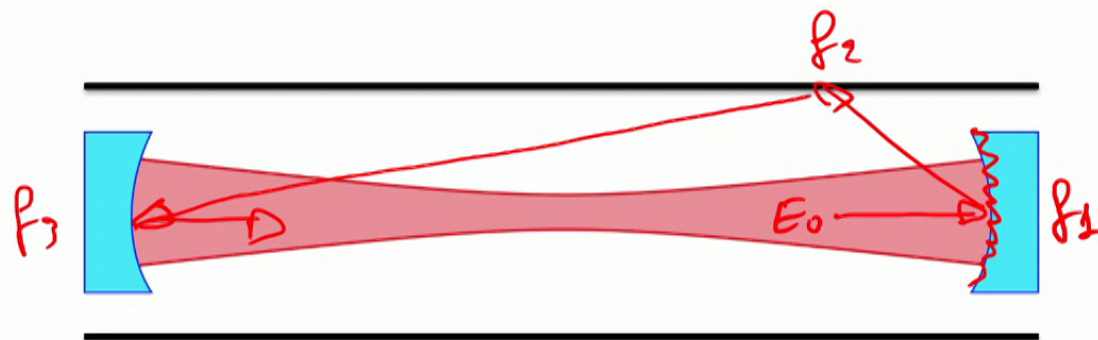


$$f_1 E_0 \times f_2 \times f_3$$



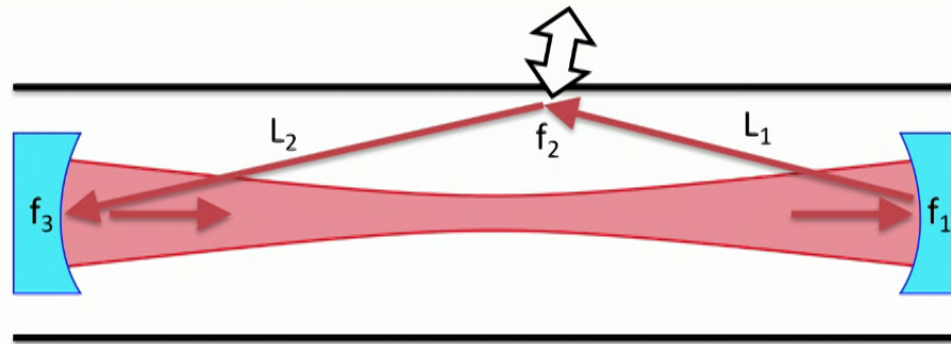
$$f_1 E_0 \times f_2 \times f_3$$

$$E_0 + f_{sc} E_0$$



$$f_1 E_0 \times f_2 \times f_3$$

$$E_0 + f_{sc} E_0 e^{i\phi(t)}$$

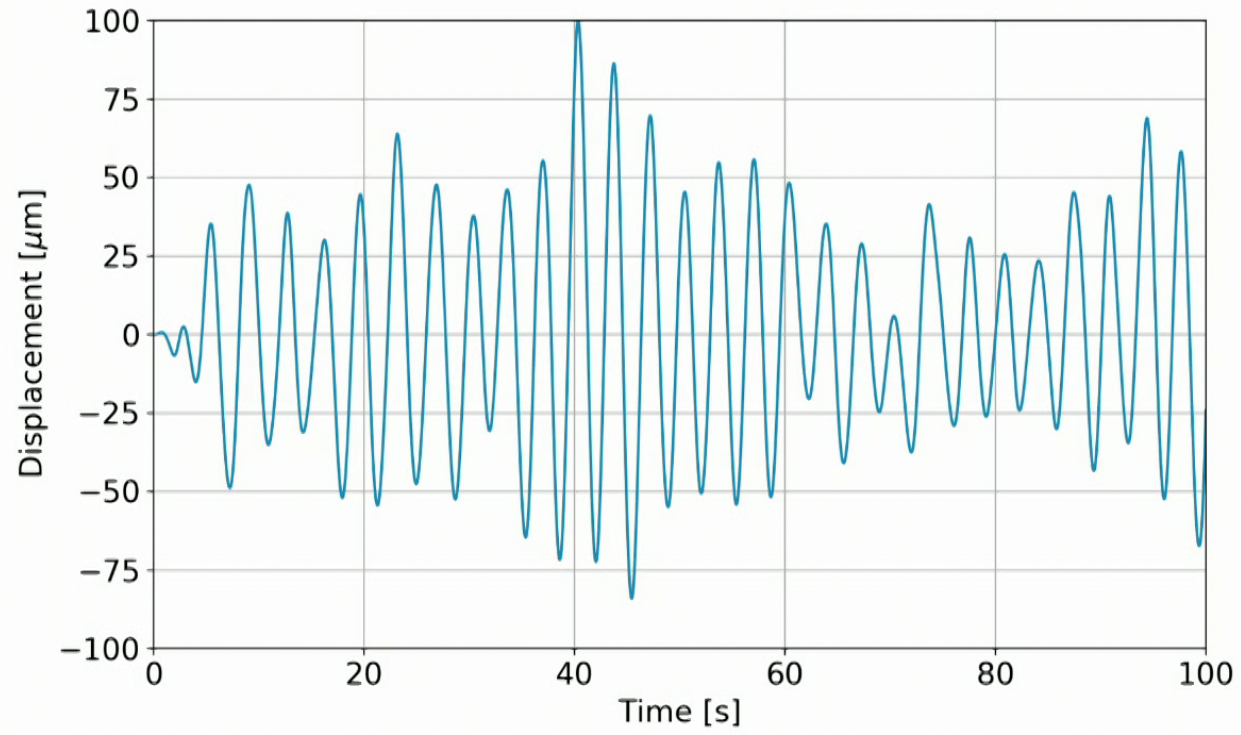


$$f_1 E_0 \times e^{ikL_1} \times f_2 \times e^{ikL_2} \times f_3 \times e^{ikL} = (f_1 f_2 f_3) e^{ik(L_1+L_2+L_3)}$$

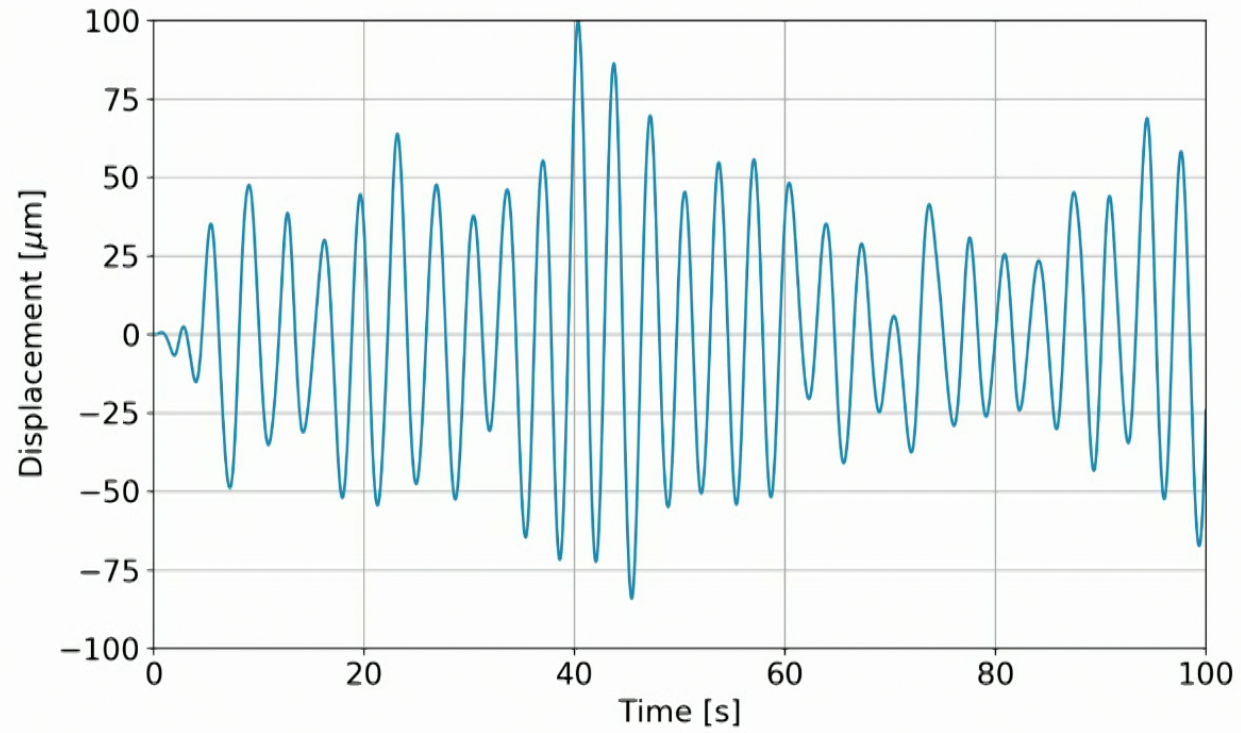
$$E_0 \rightarrow E_0 + \delta E = E_0 [1 + f_{sc} e^{ikz_{sc}}]$$

$$E' = E_0 [1 + f_{sc} \cos kz_{sc} + i f_{sc} \sin kz_{sc}]$$

Optics Express Vol. 21, pp. 10546-10562 (2013)

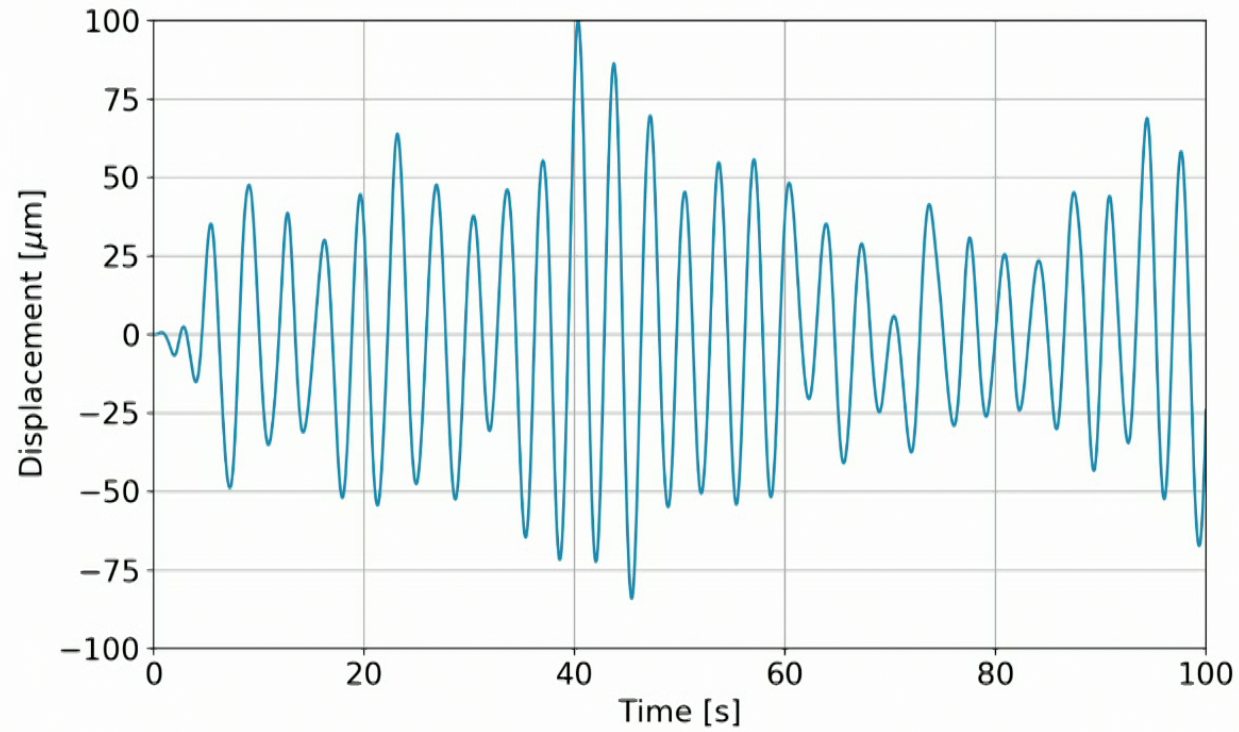


sim K2



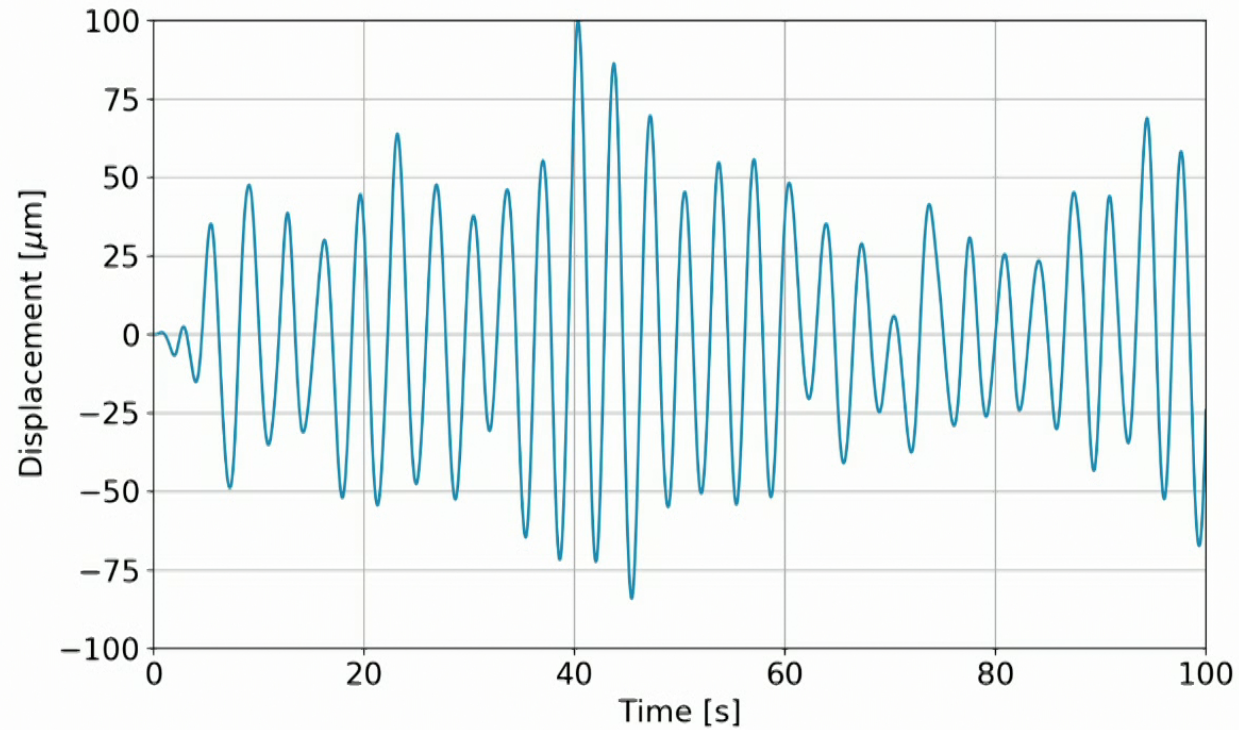
Scattered light

$$\sin kz = \sin \frac{2\pi}{\lambda} z$$



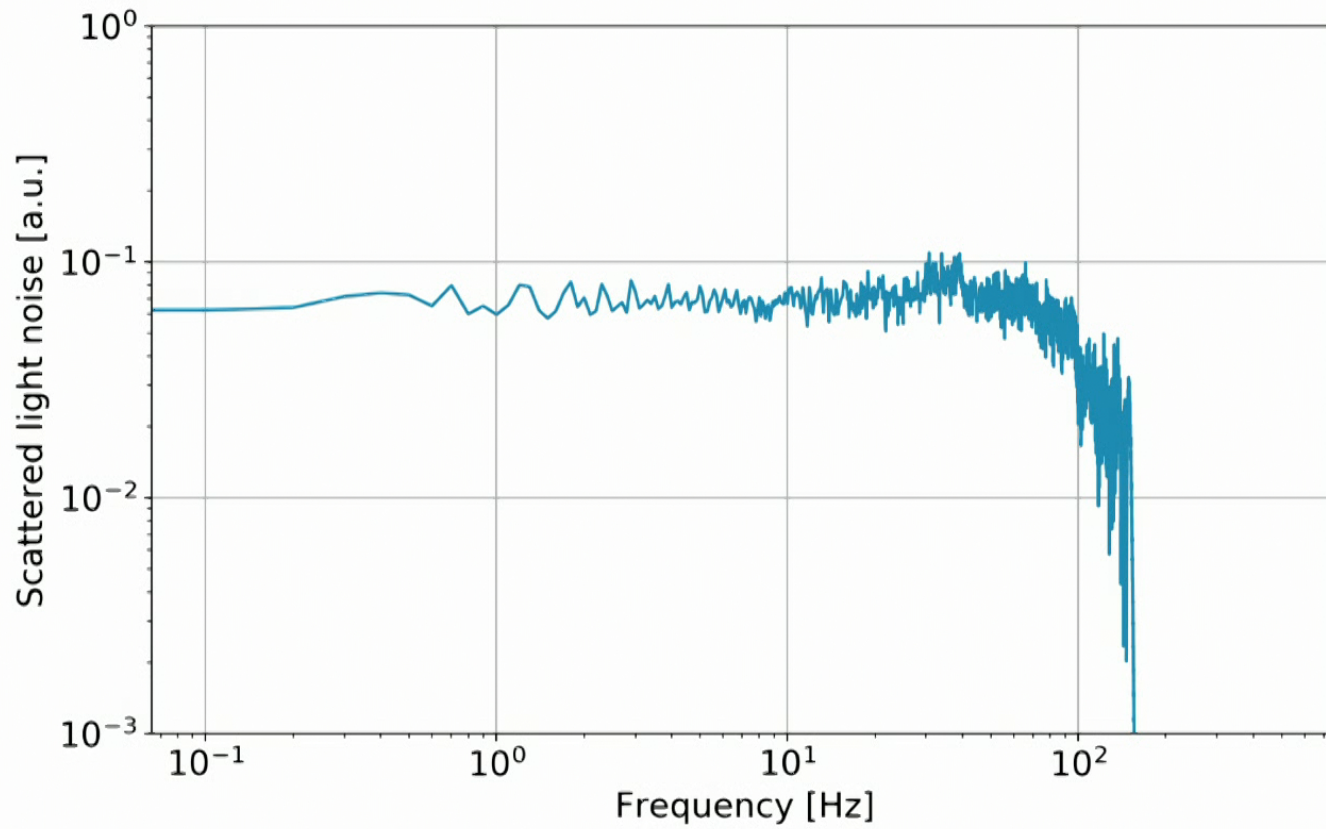
Scattered light

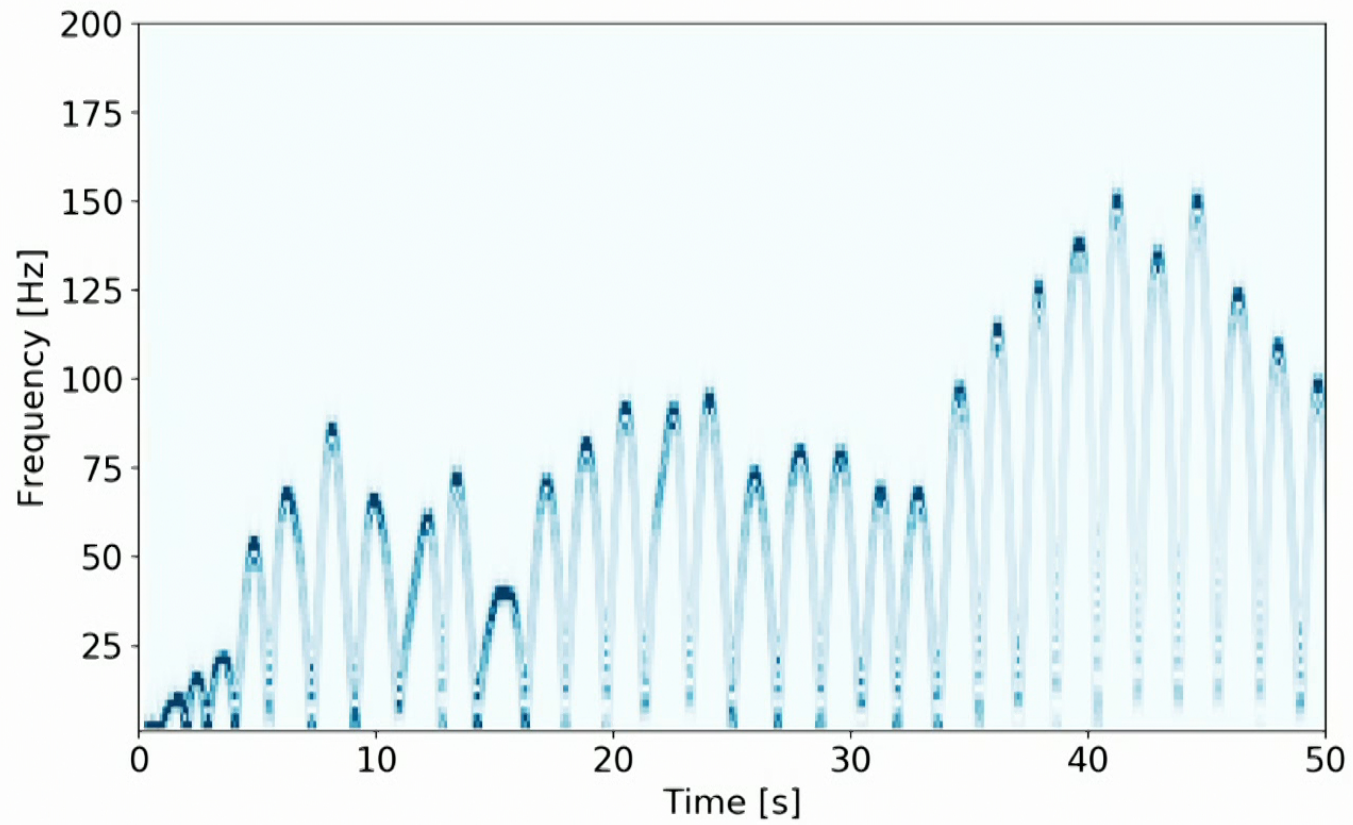
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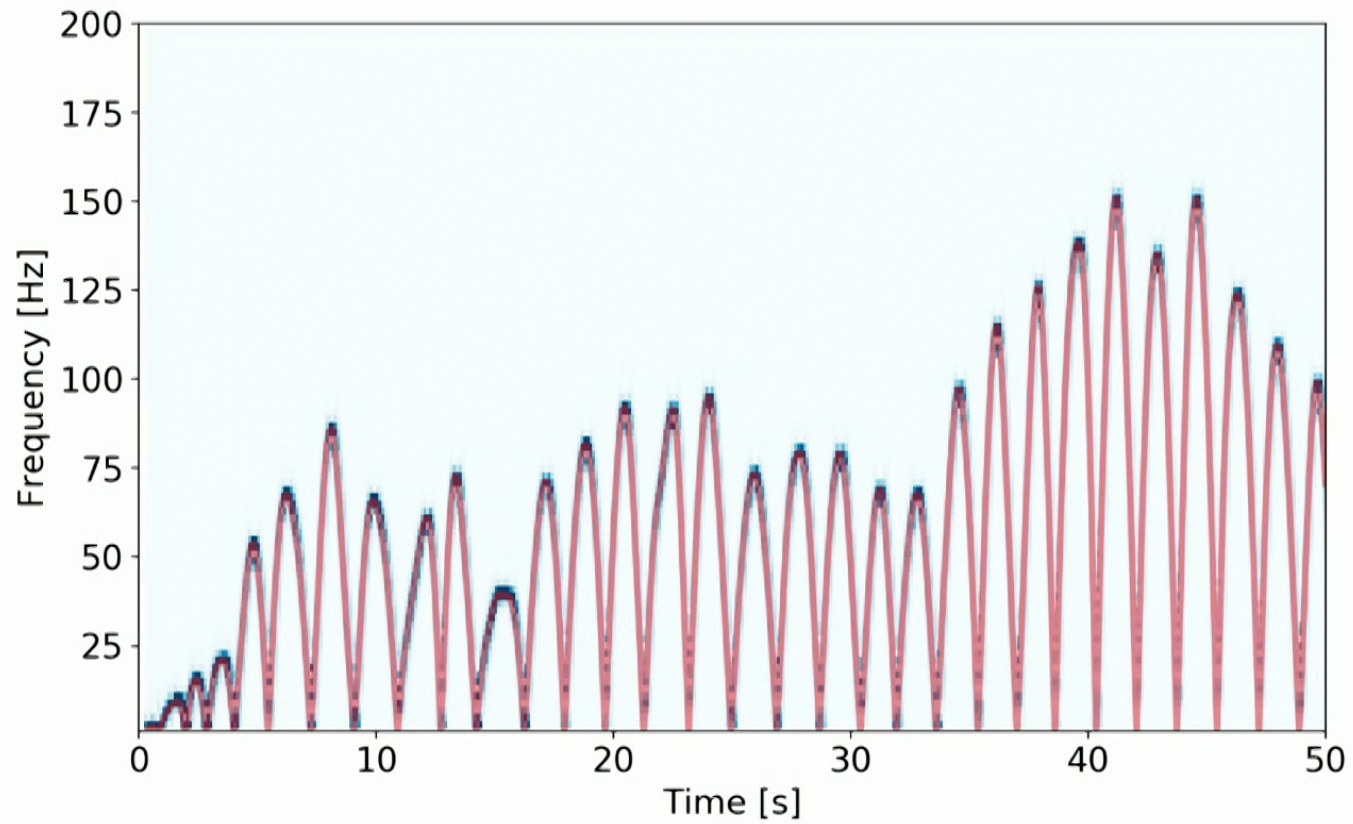




Scattered light

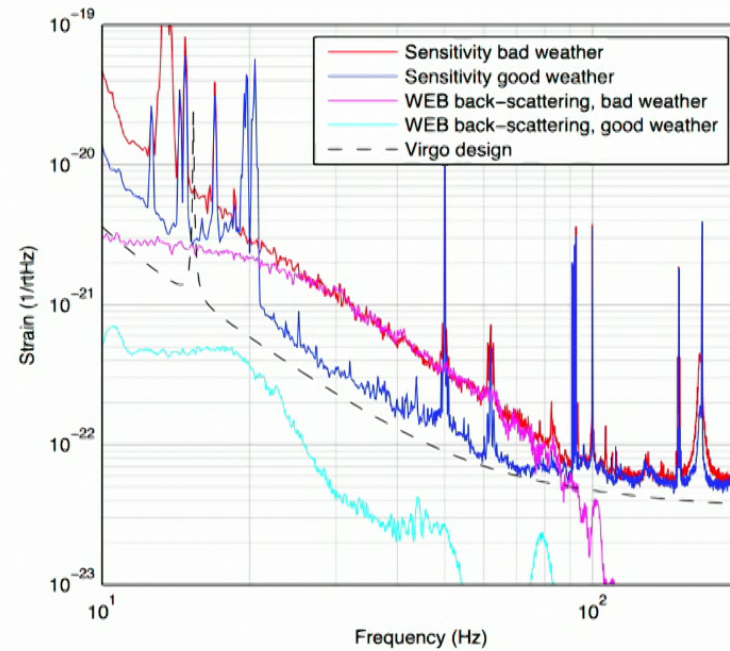
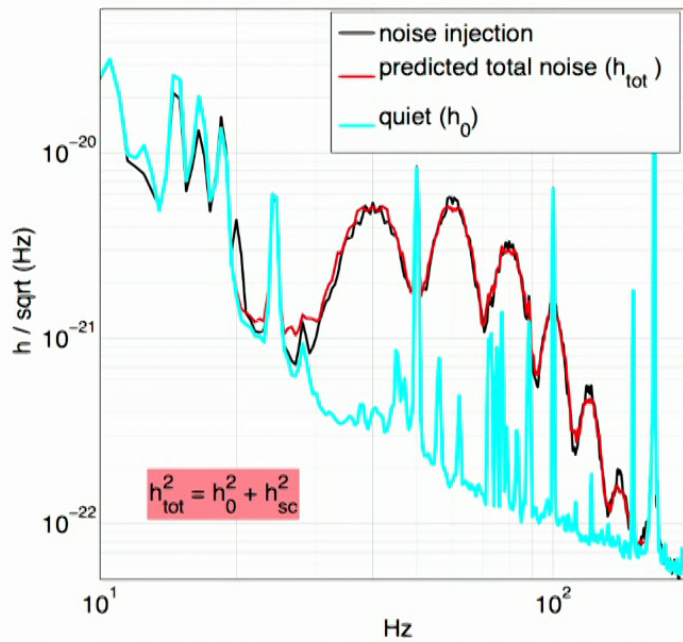








Examples from 1st generation detectors



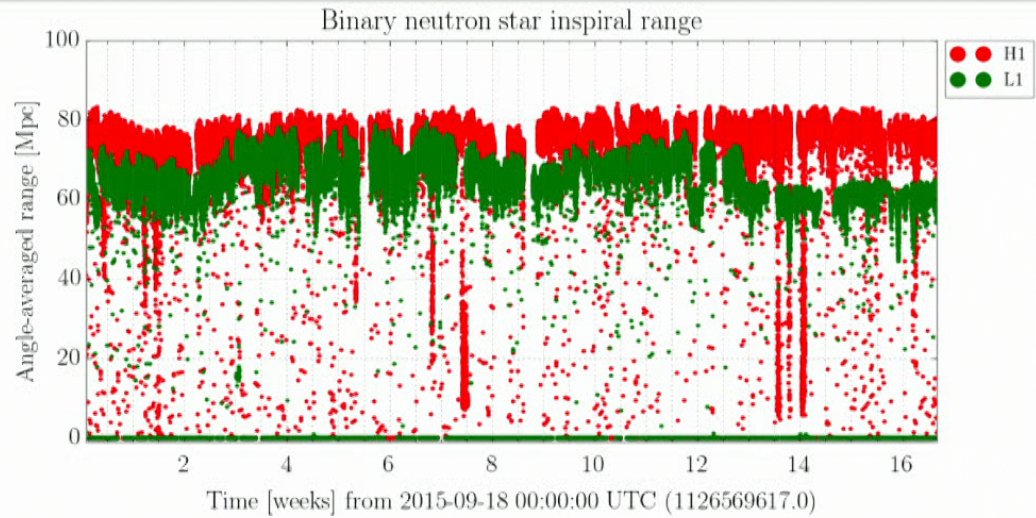
T Accadia *et al* 2010 *Class. Quantum Grav.* **27** 194011

CURRENT STATUS

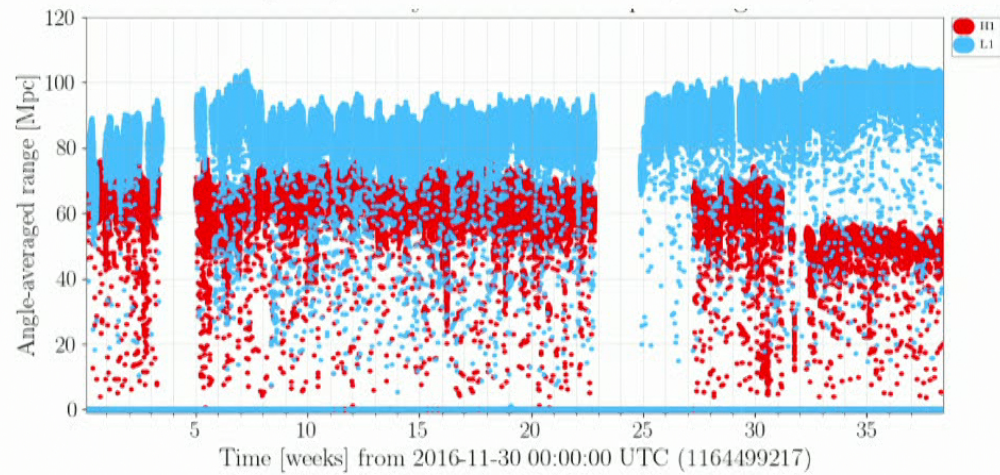


Observation runs: O1 and O2

O1: 2015-2016



O2: 2016-2017

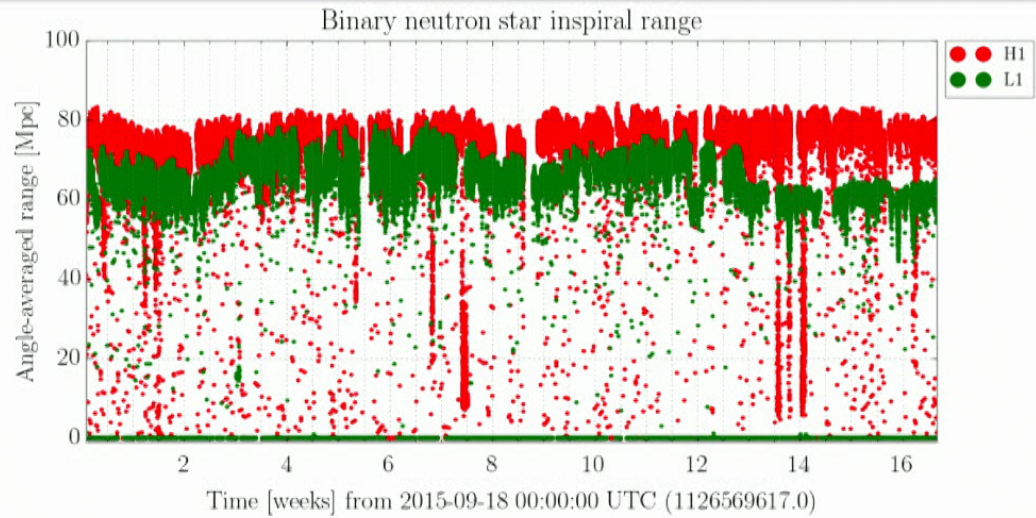


- Many improvements:
 - **New test mass mirrors**: to reduce scattering of light and simplify control
 - **Annular** reaction masses: to reduce gas damping
 - New laser: lower shot noise with **more power**
 - Frequency independent **squeezing**: lower shot noise without more power
 - **Baffles** to catch and damp spurious beams, to reduce scattered light noise
- Fine tuning of control system and noise studies will follow
- Stay tuned for next year's observing run O3

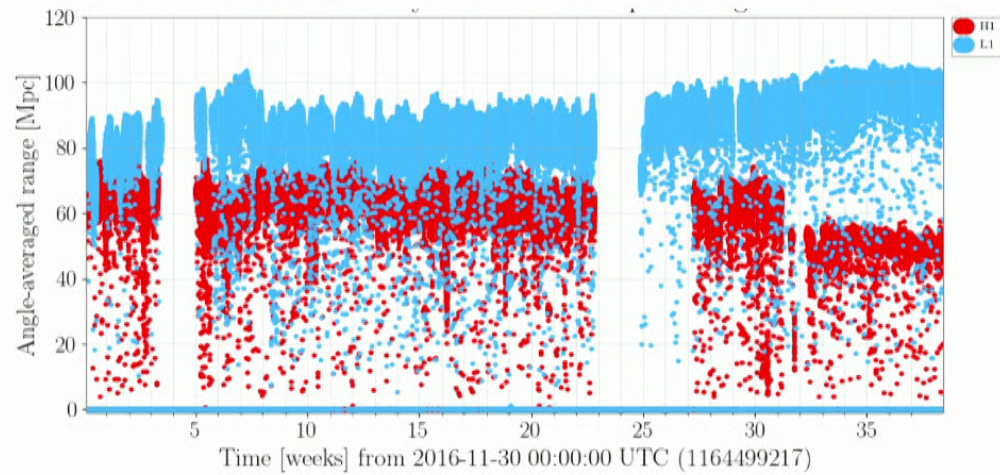


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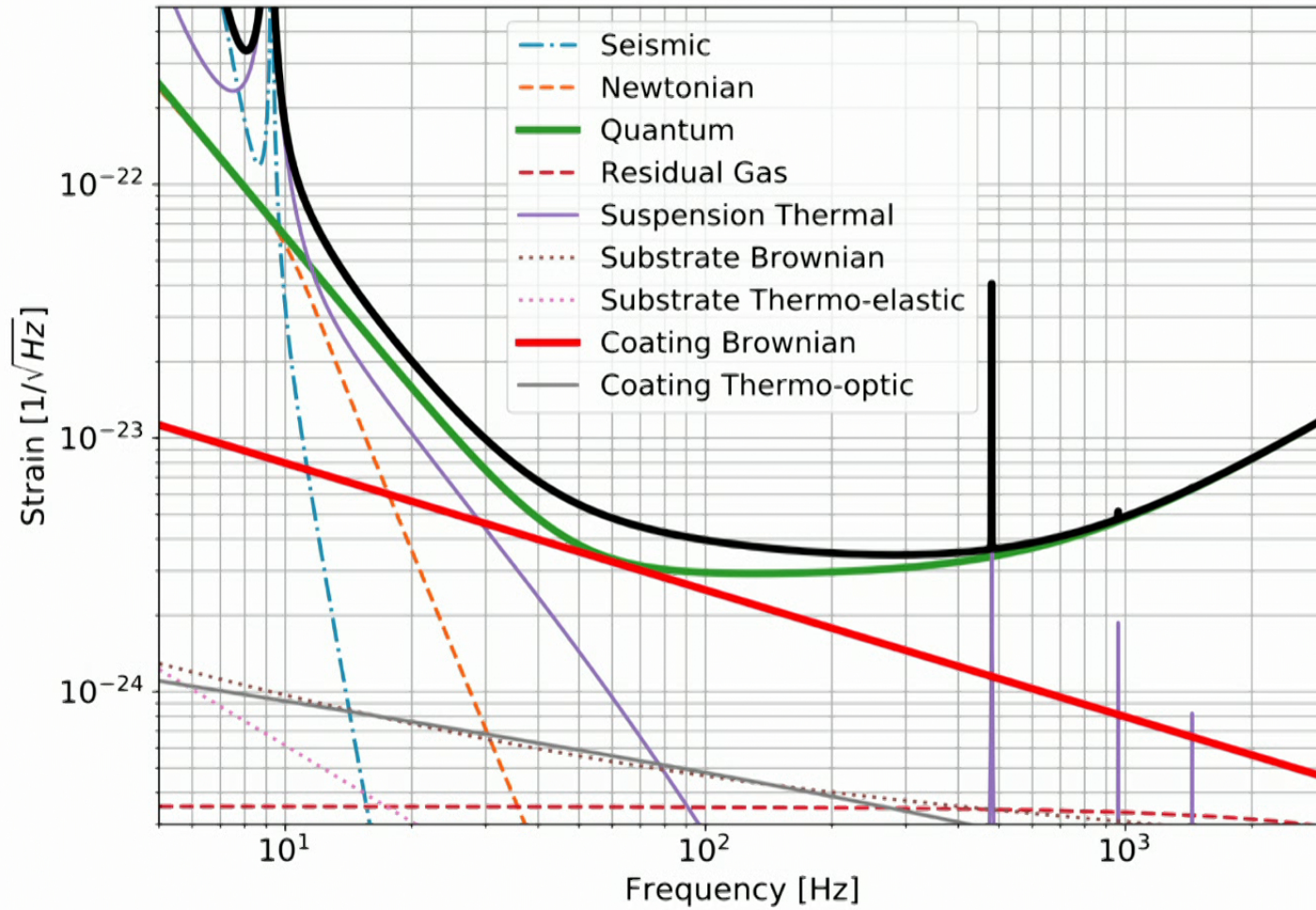
O2: 2016-2017

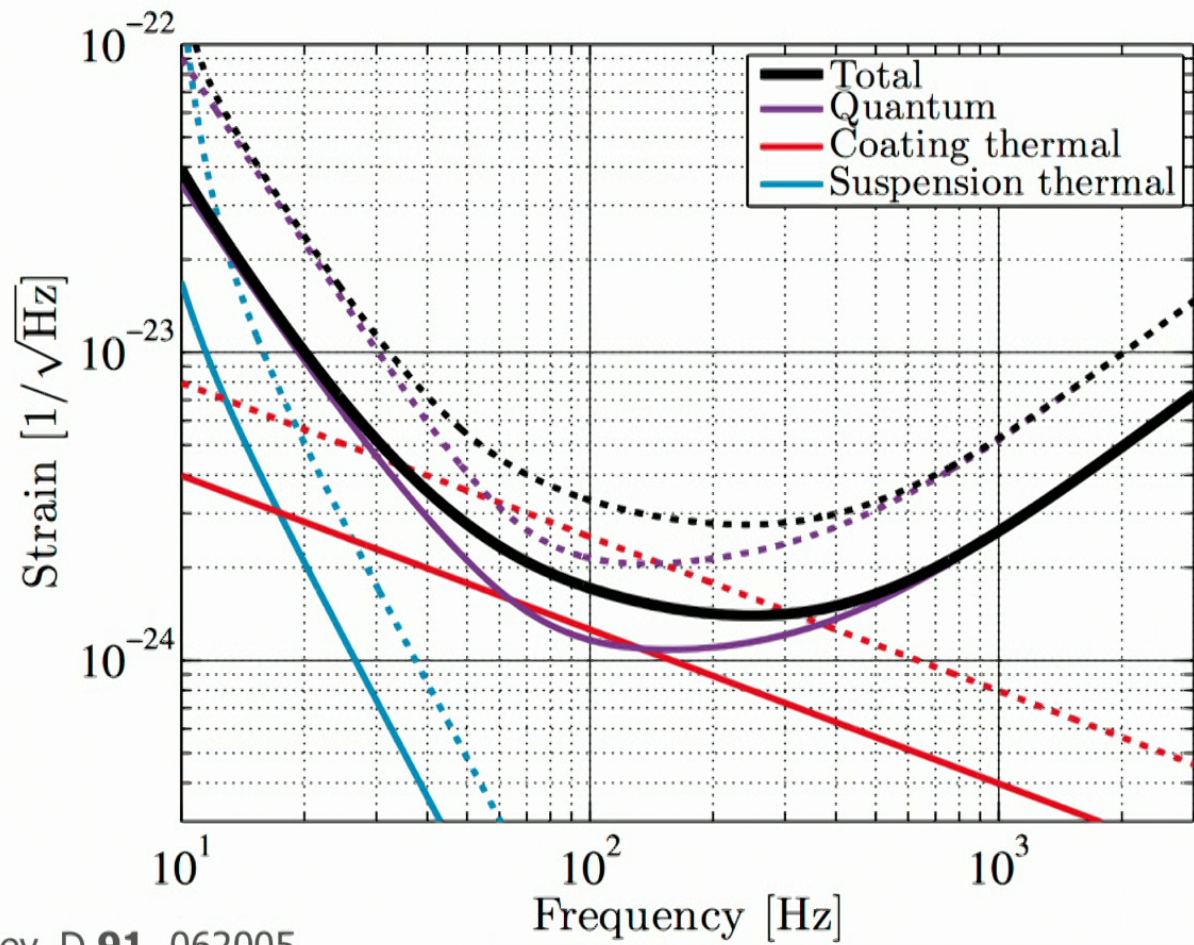


NEAR TERM



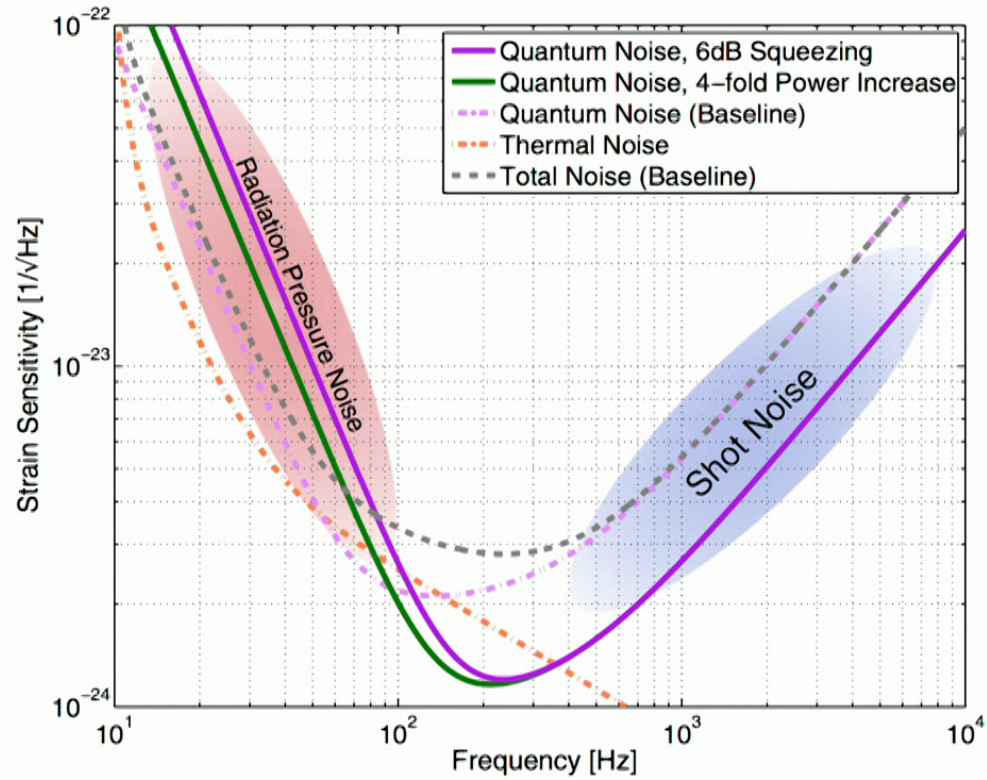
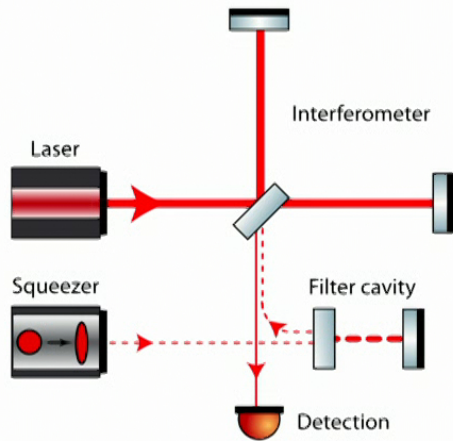
The near future: Advanced LIGO+





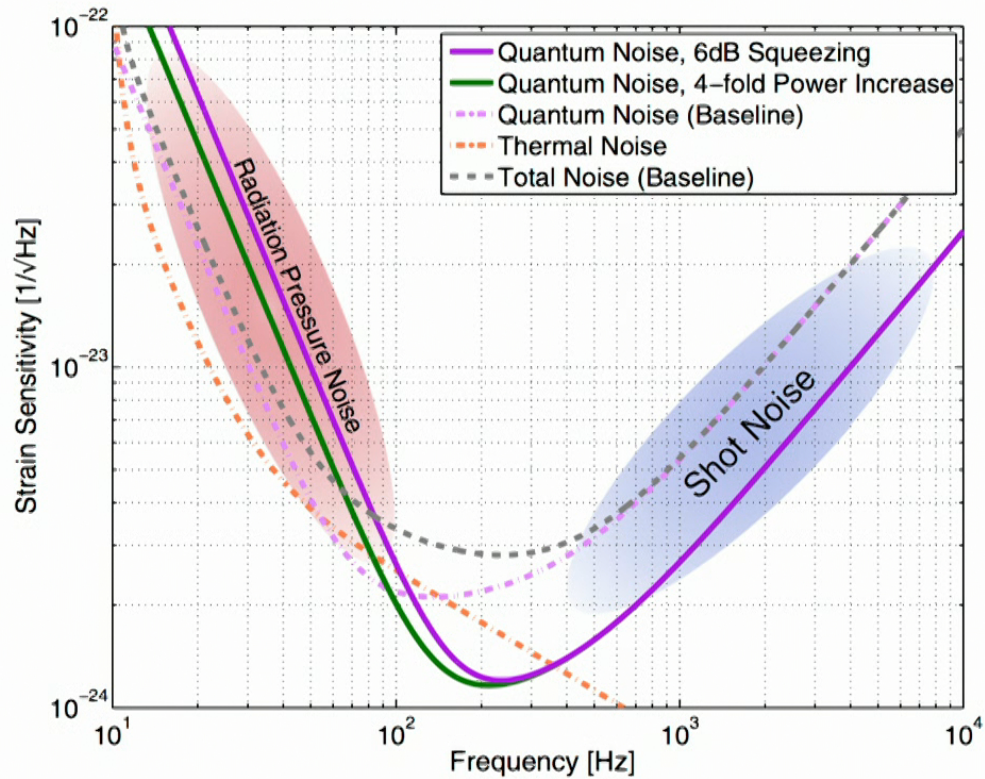
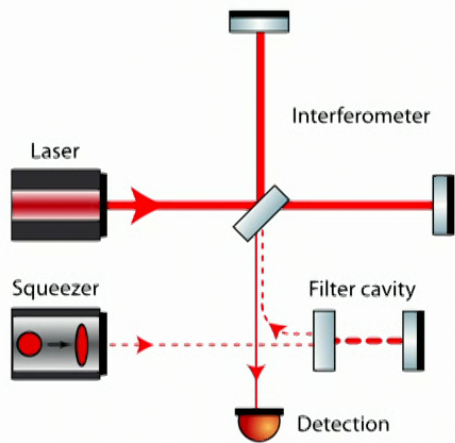
Phys. Rev. D **91**, 062005

Frequency dependent squeezing



PHYSICAL REVIEW D 88, 022002 (2013)

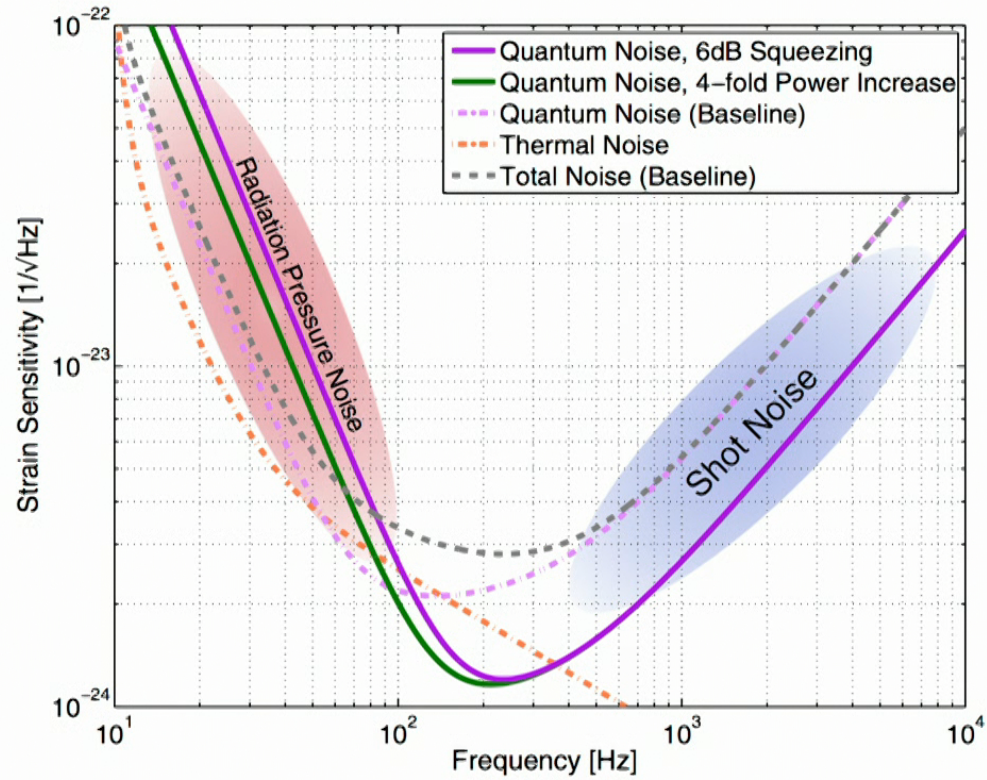
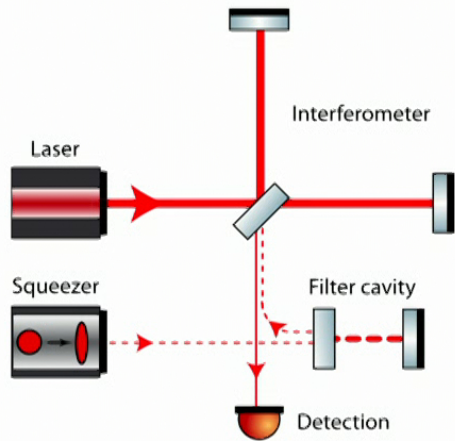
Frequency dependent squeezing



Handwritten red text: D f

PHYSICAL REVIEW D 88, 022002 (2013)

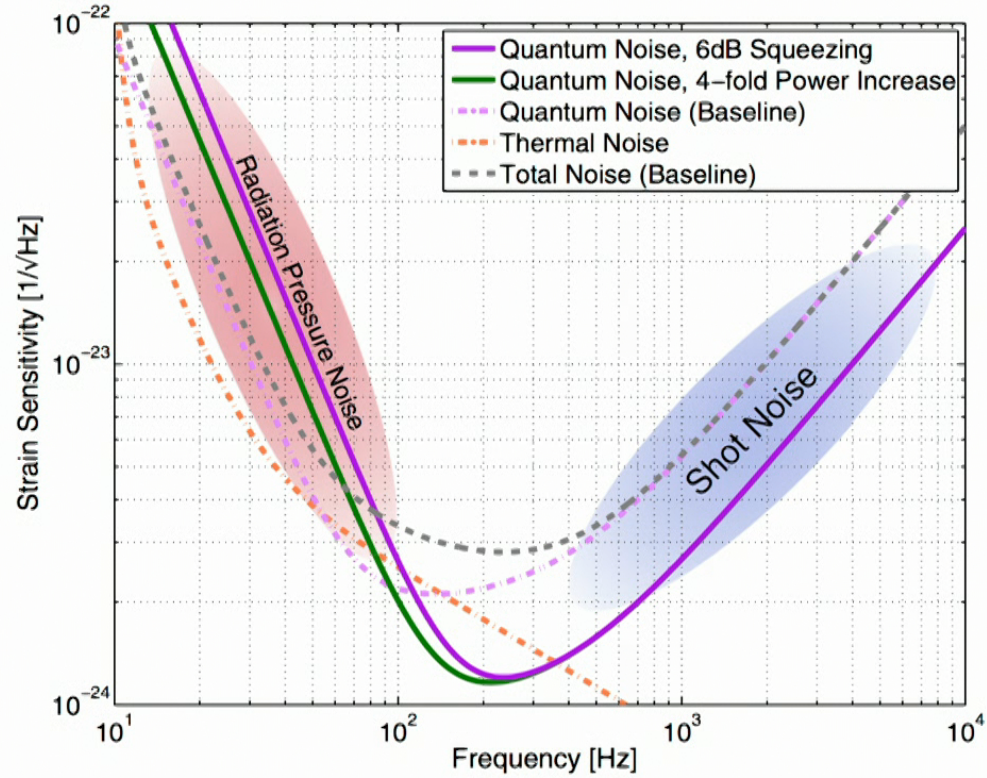
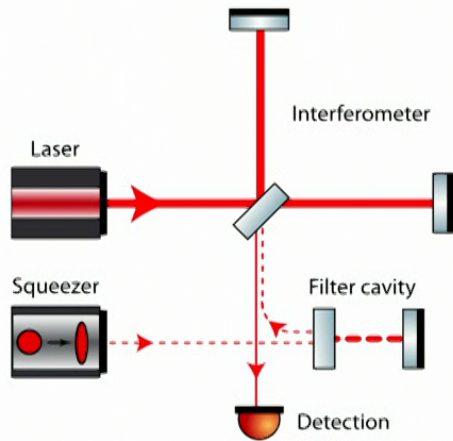
Frequency dependent squeezing



Handwritten red signature

PHYSICAL REVIEW D 88, 022002 (2013)

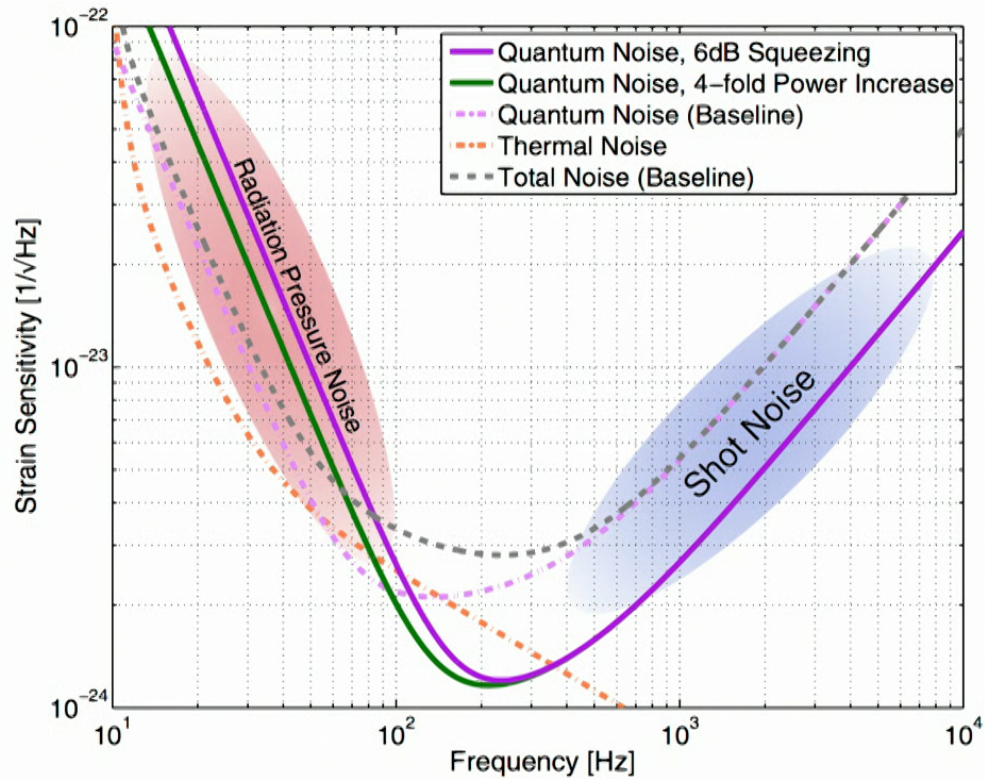
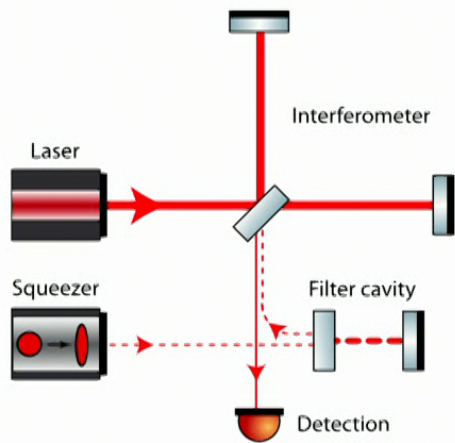
Frequency dependent squeezing



Handwritten red scribbles and a signature.

PHYSICAL REVIEW D 88, 022002 (2013)

Frequency dependent squeezing



Handwritten red scribbles and a signature.

PHYSICAL REVIEW D 88, 022002 (2013)

Lower thermal noise

Material	Refractive index	Loss angle
Silica SiO ₂	1.45	0.4 x 10 ⁻⁴
Tantala Ta ₂ O ₅	2.03	3.4 x 10 ⁻⁴
Titania-doped tantala Ta ₂ O ₅ -TiO ₂	2.07	2.3 x 10⁻⁴

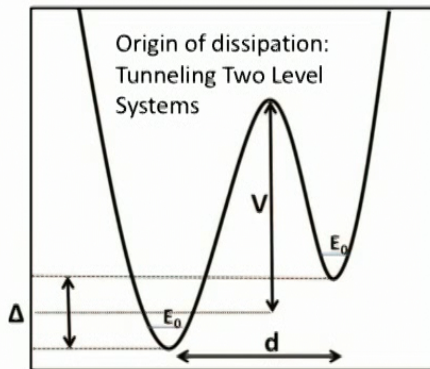
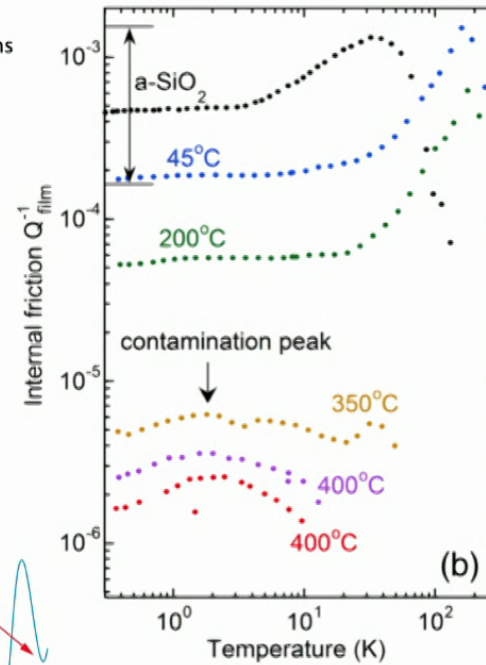
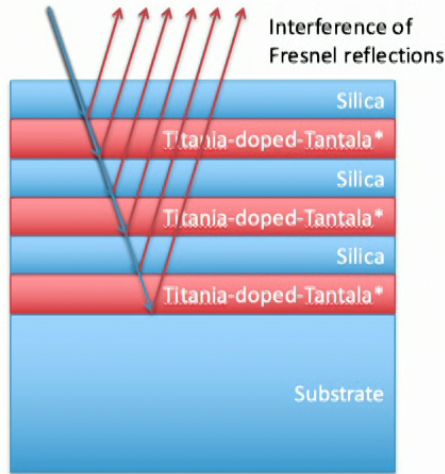
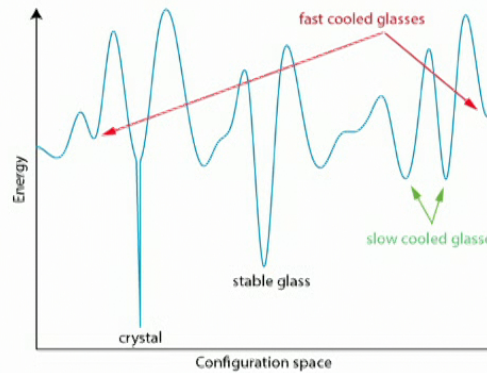


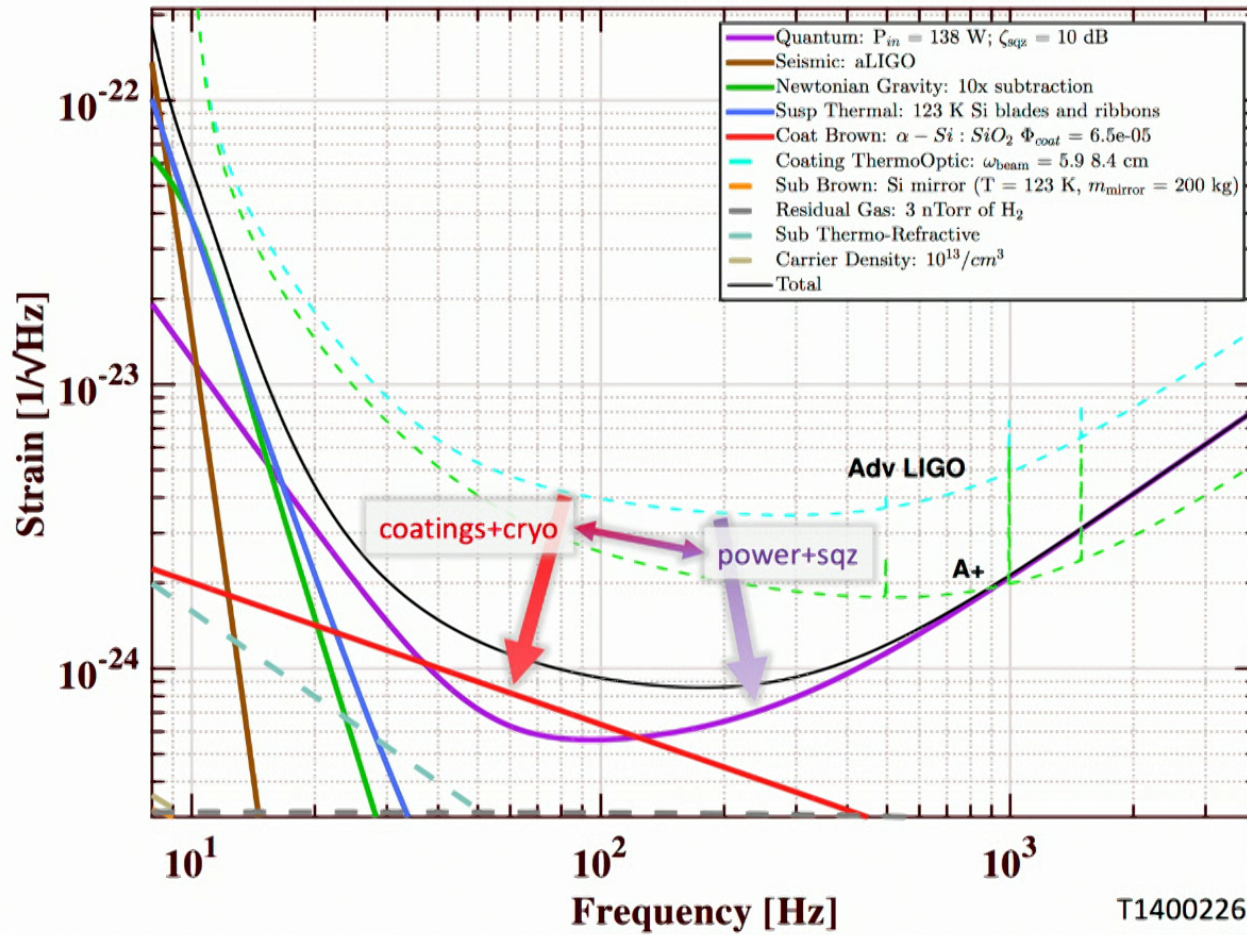
FIG. 1. Representation of the double-well potential. d is the configurational distance between the two wells, Δ is the energy asymmetry, E_0 is the ground state energy, and V is the barrier height.



Hamdan et al. J. Chem. Phys. 141, 054501 (2014) Parisi et al. Nature Materials 12, 94 (2013)

LONG TERM UPGRADES

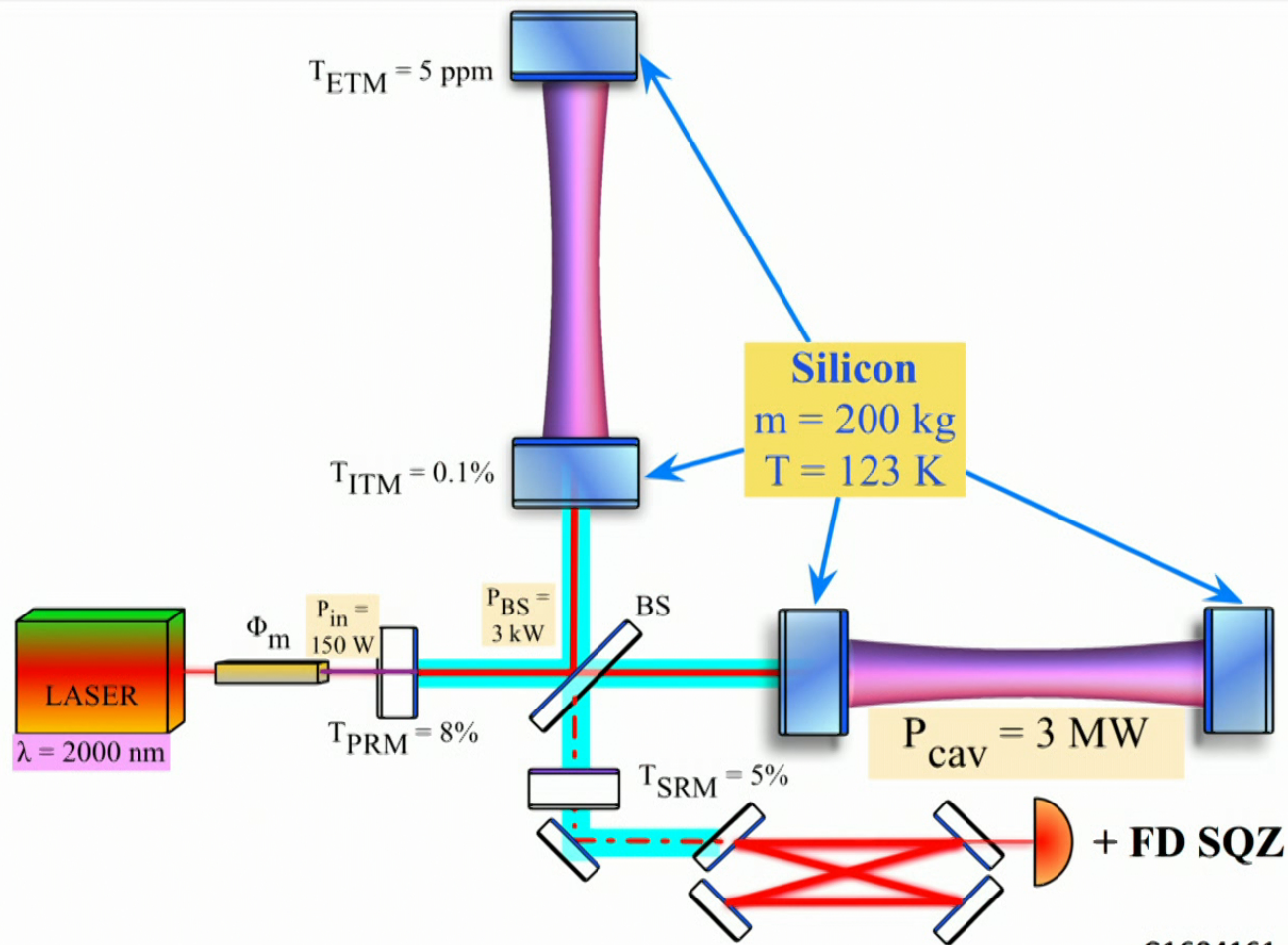
Pushing the facilities to the limit: Voyager



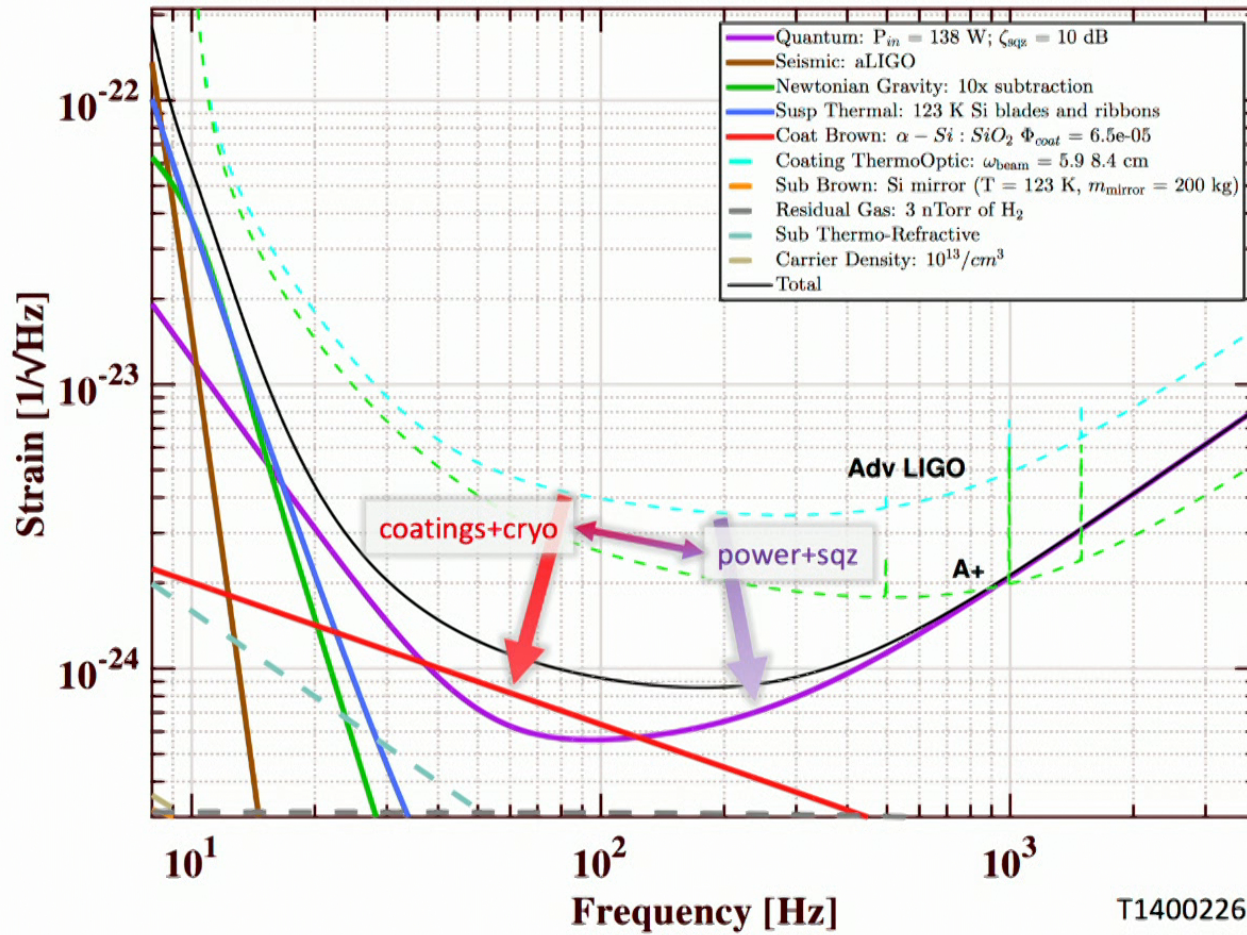
T1400226

<https://dcc.ligo.org/LIGO-G1700848/public>

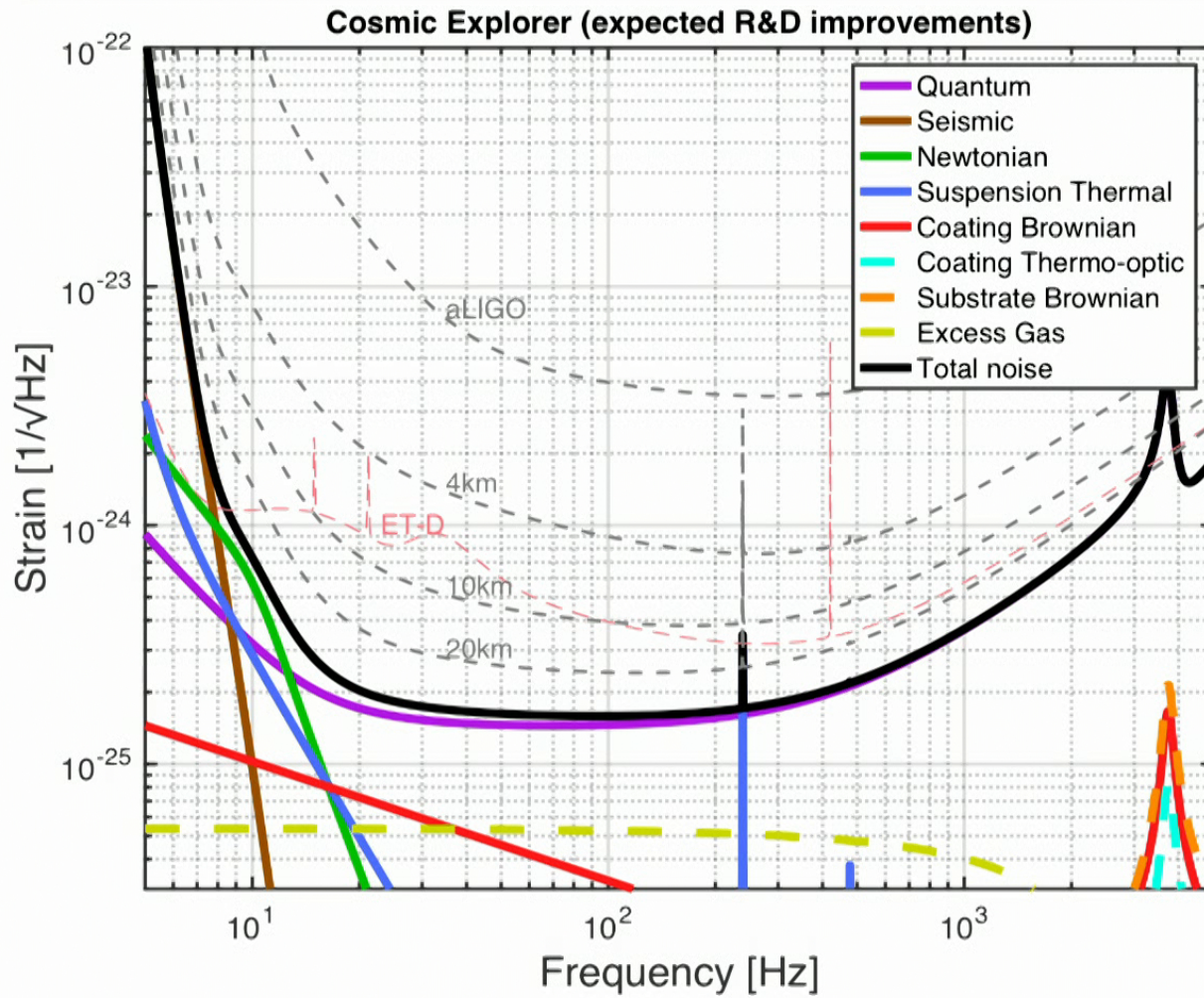
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G1604161
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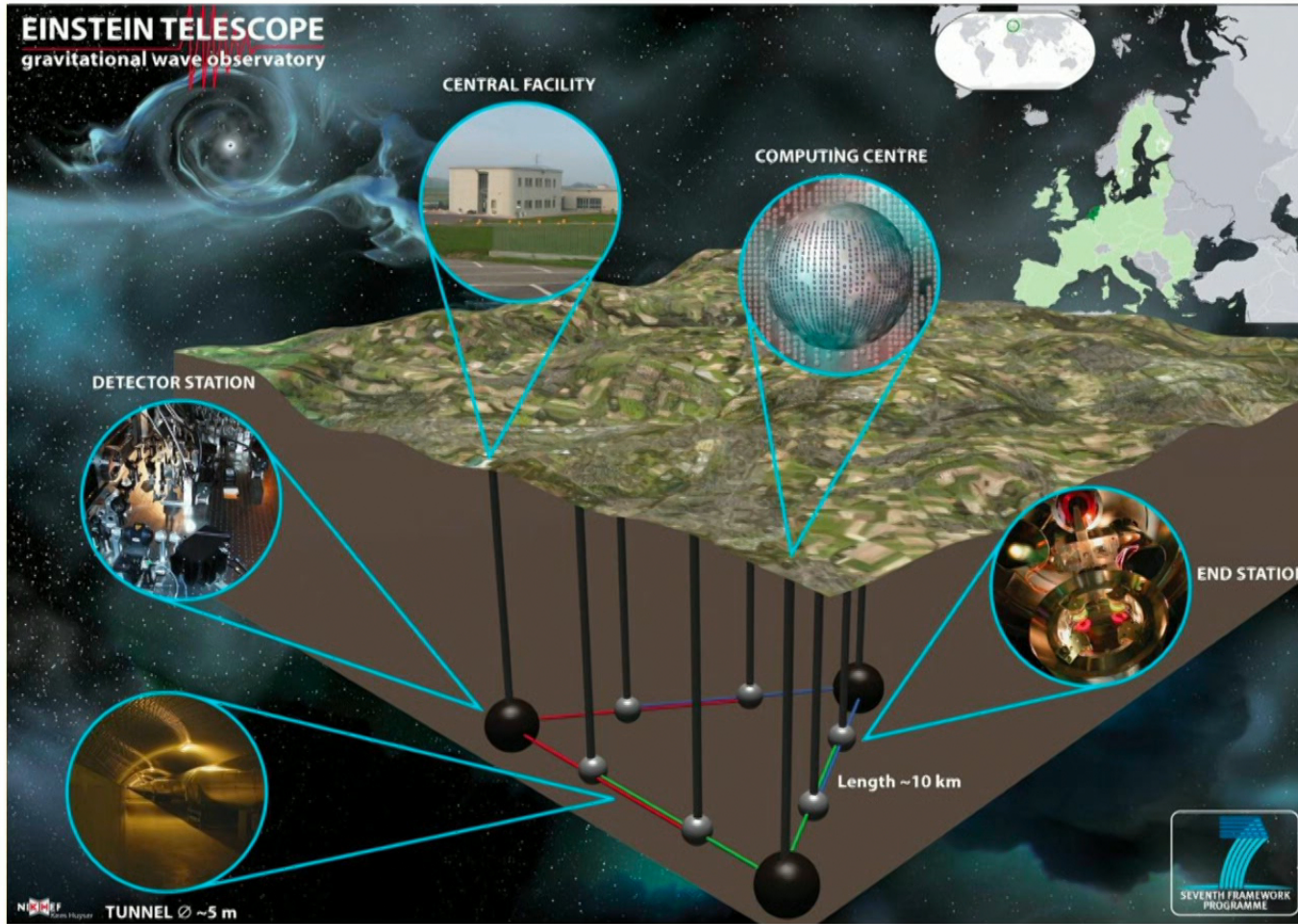


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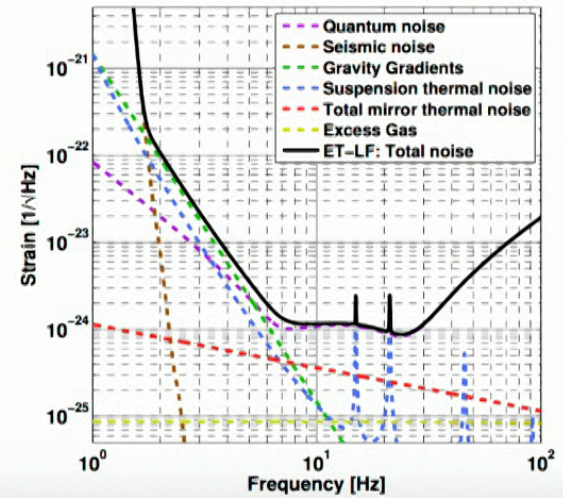
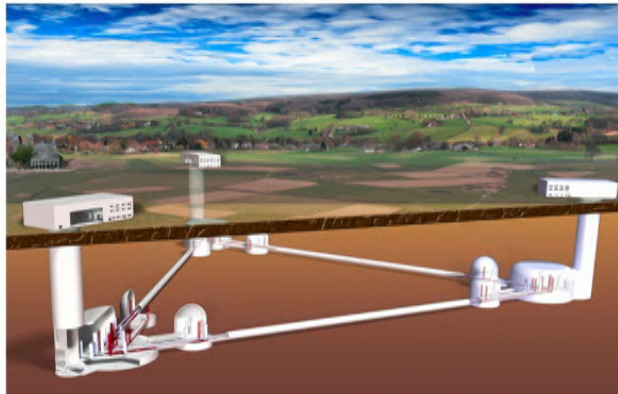
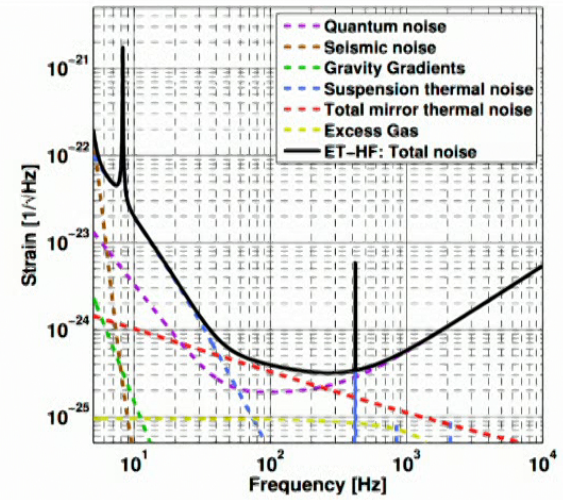
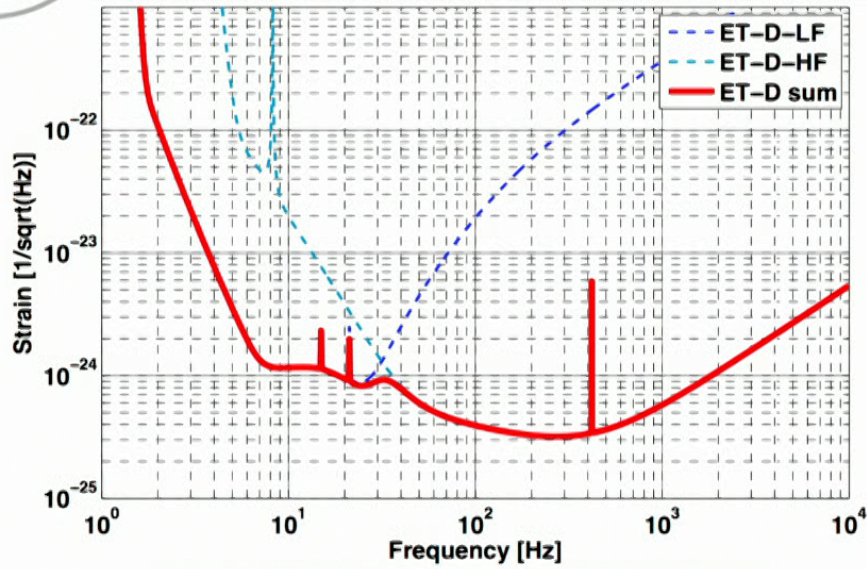


<https://dcc.ligo.org/LIGO-G1800983/public>

New facilities: Einstein Telescope

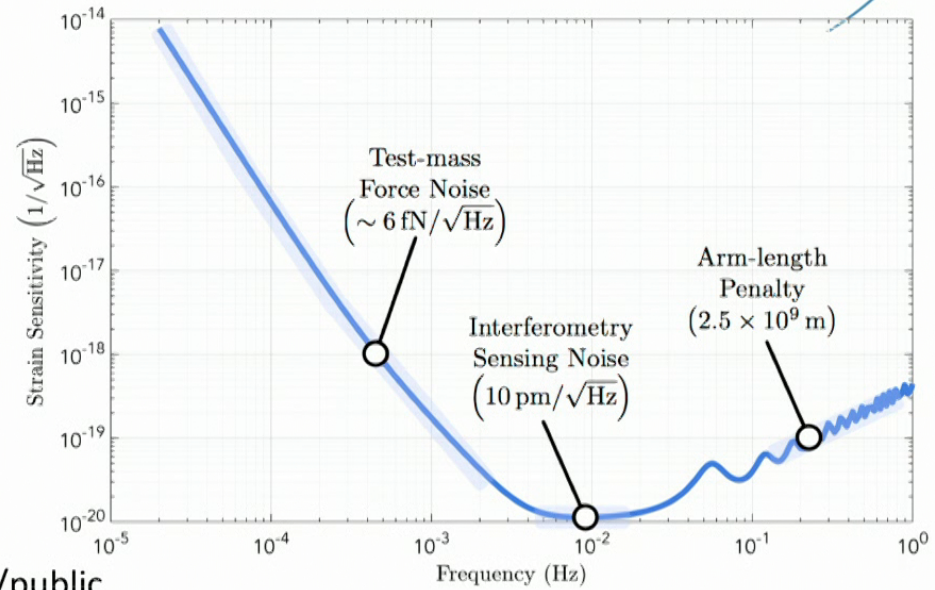
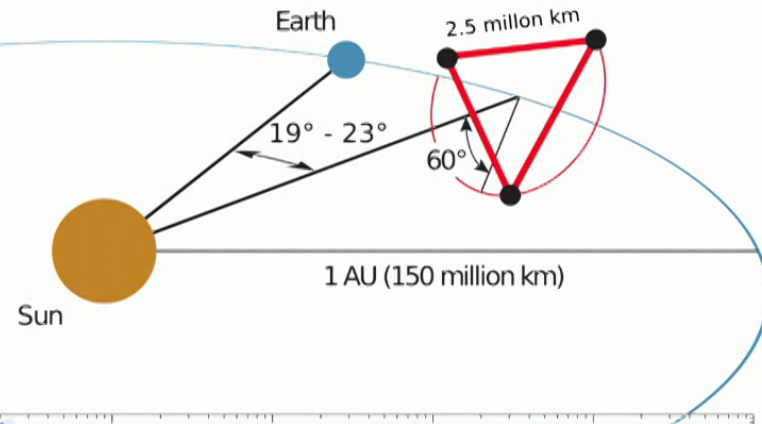
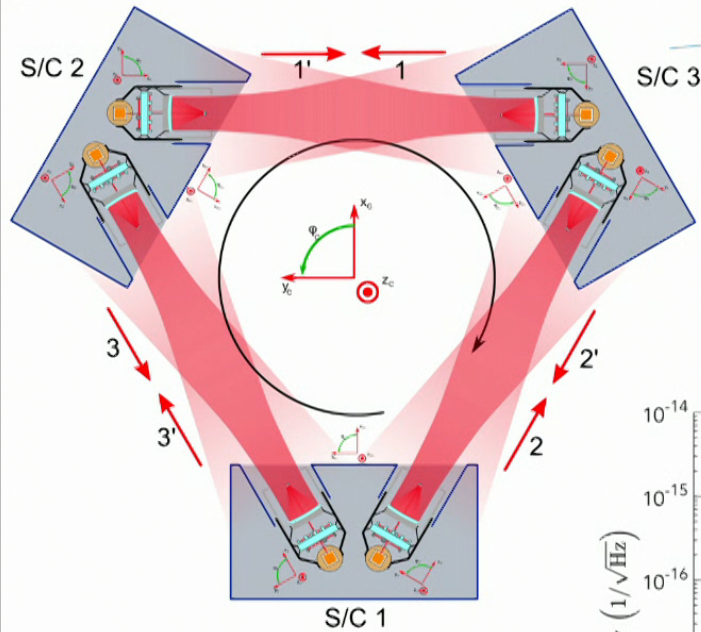


<http://www.et-gw.eu/index.php/etdsdocument>



<http://www.et-gw.eu/index.php/etdsdocument>

Going large and far: LISA



<https://dcc.ligo.org/LIGO-G1800974/public>

An old but still good introduction to GW detectors:
Peter R. Saulson "**Fundamentals of Interferometric Gravitational Wave Detectors**",
World Scientific (1994)

A collection of lectures on more advanced and recent topics:
Massimo Bassan, editor "**Advanced Interferometers and the Search for Gravitational Waves**",
Springer (2014)

The first discovery paper:
B. P. Abbott et al. "**Observation of Gravitational Waves from a Binary Black Hole Merger**"
PRL 116, 061102 (2016)

The binary neutron star discovery paper:
B. P. Abbott et al. "**GW170817: Observation of Gravitational Waves from a Binary Neutron Star Inspiral**",
PRL 119, 161101 (2017)

A good and brief introduction to the
Advanced LIGO detectors
B. P. Abbott et al. "**GW150914: The Advanced LIGO Detectors in the Era of First Discoveries**",
Phys. Rev. Lett. 116, 131103

Another introduction to GW detectors,
with a bit of historical perspective
Pitkin, M., Reid, S., Rowan, S. et al.
"**Gravitational Wave Detection by Interferometry (Ground and Space)**",
Living Rev. Relativ. (2011) 14: 5.

Work-in-progress notes:

<https://tinyurl.com/GW-notes-2018>

They cover all of lecture 1, some of lecture 2,
none of lecture 3. May contains mistakes, typos
And are updated continuously



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