

Title: Particle Physics Beyond Colliders

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Abstract:

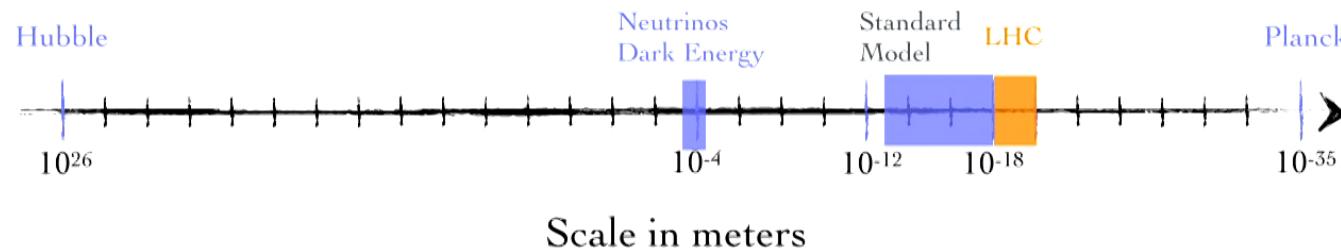
# Particle Physics Beyond Colliders

Asimina Arvanitaki  
Perimeter Institute

# The High Energy Frontier



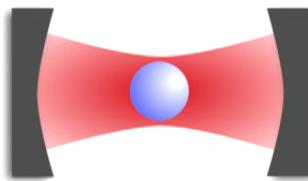
# The Length Scales in the Universe



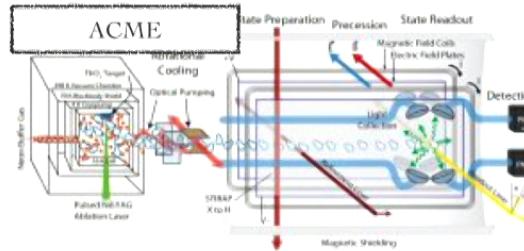
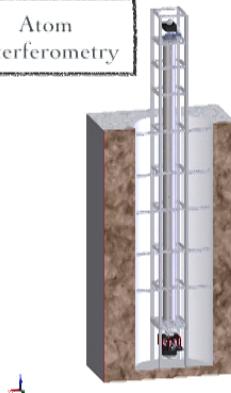
80% of the energy scale left to explore

# Opportunities at the Precision Frontier

Optically Levitated Objects



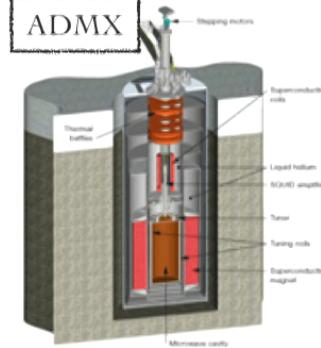
Atom Interferometry



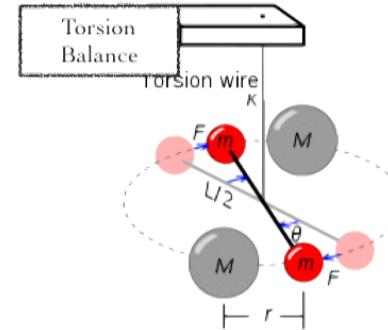
LIGO



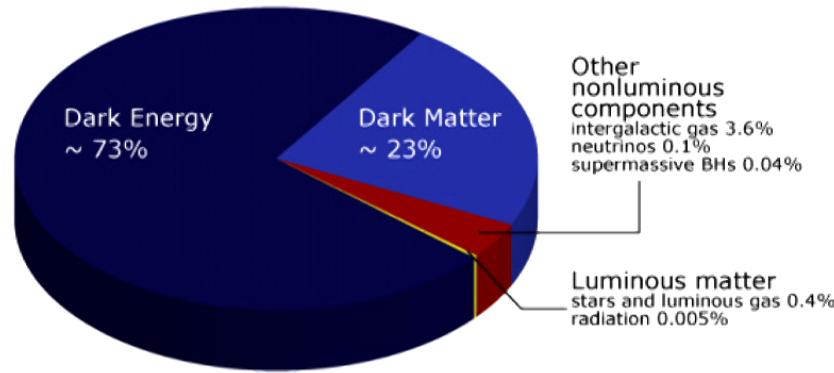
ADMX



Torsion Balance



# The Mystery of Dark Matter



## Models of Dark Matter

- What is it made out of?
- How is it produced?
- Does it have interactions other than gravitational?

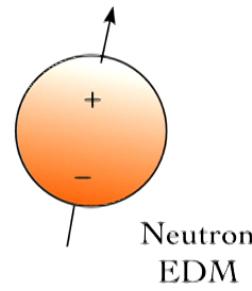


# Outline

- Light Bosonic Dark Matter
- Atomic Clocks
- Resonant Mass Detectors
- Molecules
- Black Hole Superradiance

# Why is the Electric Dipole Moment of the Neutron Small?

The Strong CP Problem and the QCD axion



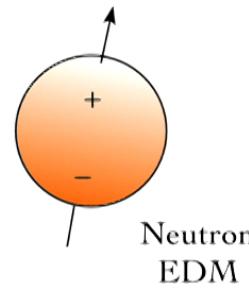
$$\frac{g_s^2}{32\pi^2} \theta_s \vec{E}_s \cdot \vec{B}_s$$

$$\text{EDM} \sim e \text{ fm } \theta_s$$

Experimental bound:  $\theta_s < 10^{-10}$

# Why is the Electric Dipole Moment of the Neutron Small?

The Strong CP Problem and the QCD axion



$$\frac{g_s^2}{32\pi^2} \theta_s \vec{E}_s \cdot \vec{B}_s$$

EDM  $\sim e \text{ fm } \theta_s$

Experimental bound:  $\theta_s < 10^{-10}$

Solution:

$\theta_s \propto a(x,t)$  is a dynamical field, an axion

Axion mass from QCD:

$$\mu_a \sim 6 \times 10^{-11} \text{ eV} \frac{10^{17} \text{ GeV}}{f_a} \sim (3 \text{ km})^{-1} \frac{10^{17} \text{ GeV}}{f_a}$$

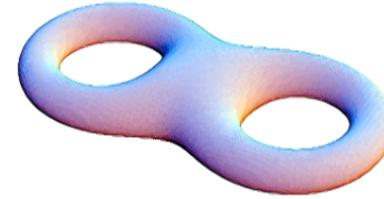
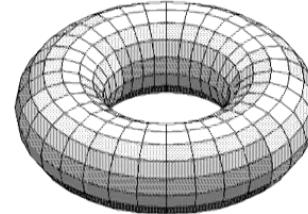
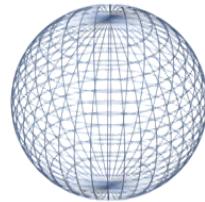
$f_a$  : axion decay constant

# Elements of String Theory

- Extra dimensions

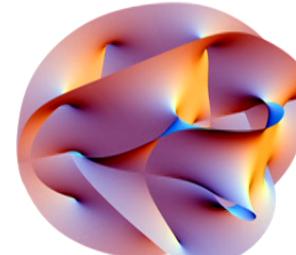
- Gauge fields

- Topology



# Elements of String Theory

- Extra dimensions
- Gauge fields
- Topology



# Elements of String Theory

- Extra dimensions
- Gauge fields
- Topology



Give rise to a plenitude of Universes

# Non-trivial gauge configurations

The Aharonov-Bohm Effect



Taking an electron around the solenoid

$$e \int A_\mu dx^\mu = e \times \text{Magnetic Flux}$$

while

$$\vec{B} = 0$$

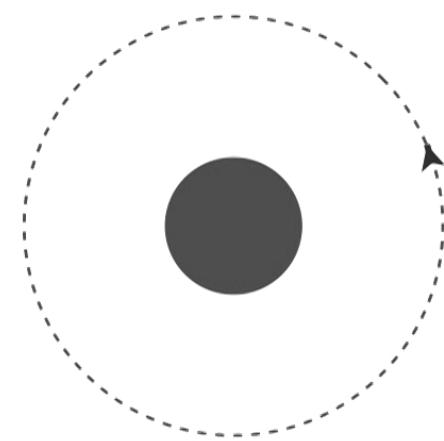
Energy stored only inside the solenoid

Non-trivial gauge configuration far away carries no energy

Solenoid

# Non-trivial gauge configurations

## The Aharonov-Bohm Effect



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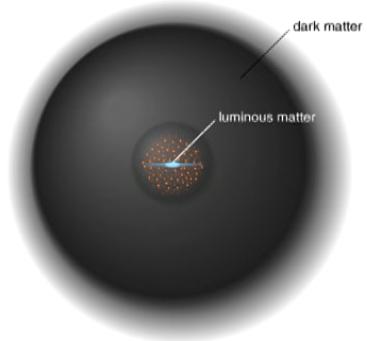
Non-trivial gauge configuration far away carries no energy

# A Plenitude of (Almost) Massless Particles

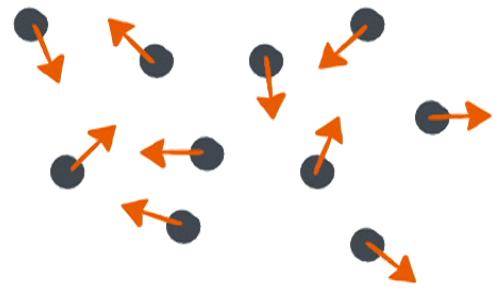
- Spin-0 non-trivial gauge field configurations: **String Axiverse**
- Spin-1 non-trivial gauge field configurations: **String Photiverse**
- Fields that determine the shape and size of extra dimensions as well as values of fundamental constants: **Dilatons, Moduli, Radion**

# What If DM Is a Boson and Very Light?

## Dark Matter Particles in the Galaxy



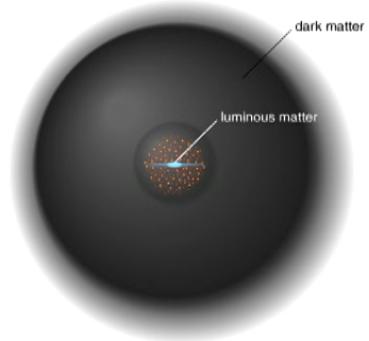
Usually we think of ...



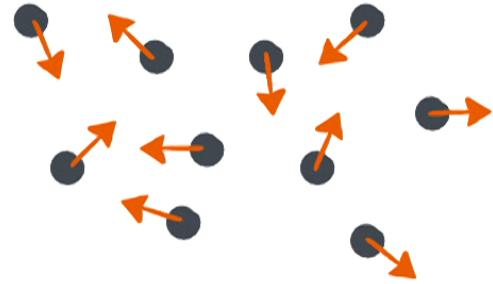
like a WIMP

# What If DM Is a Boson and Very Light?

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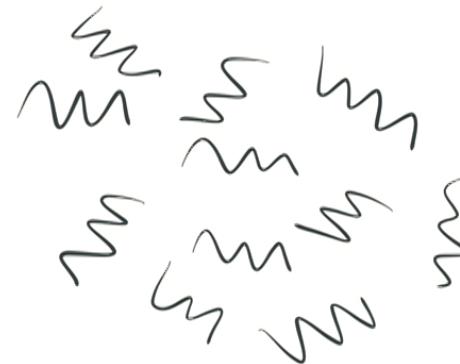


Usually we think of ...



like a WIMP

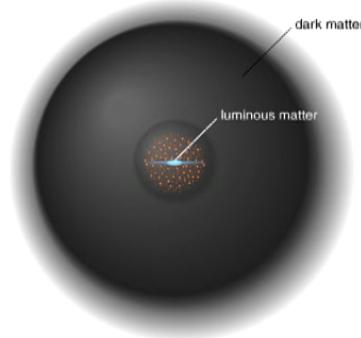
instead of...



$$\lambda_{DM} = \frac{\hbar}{m_{DM}v}$$

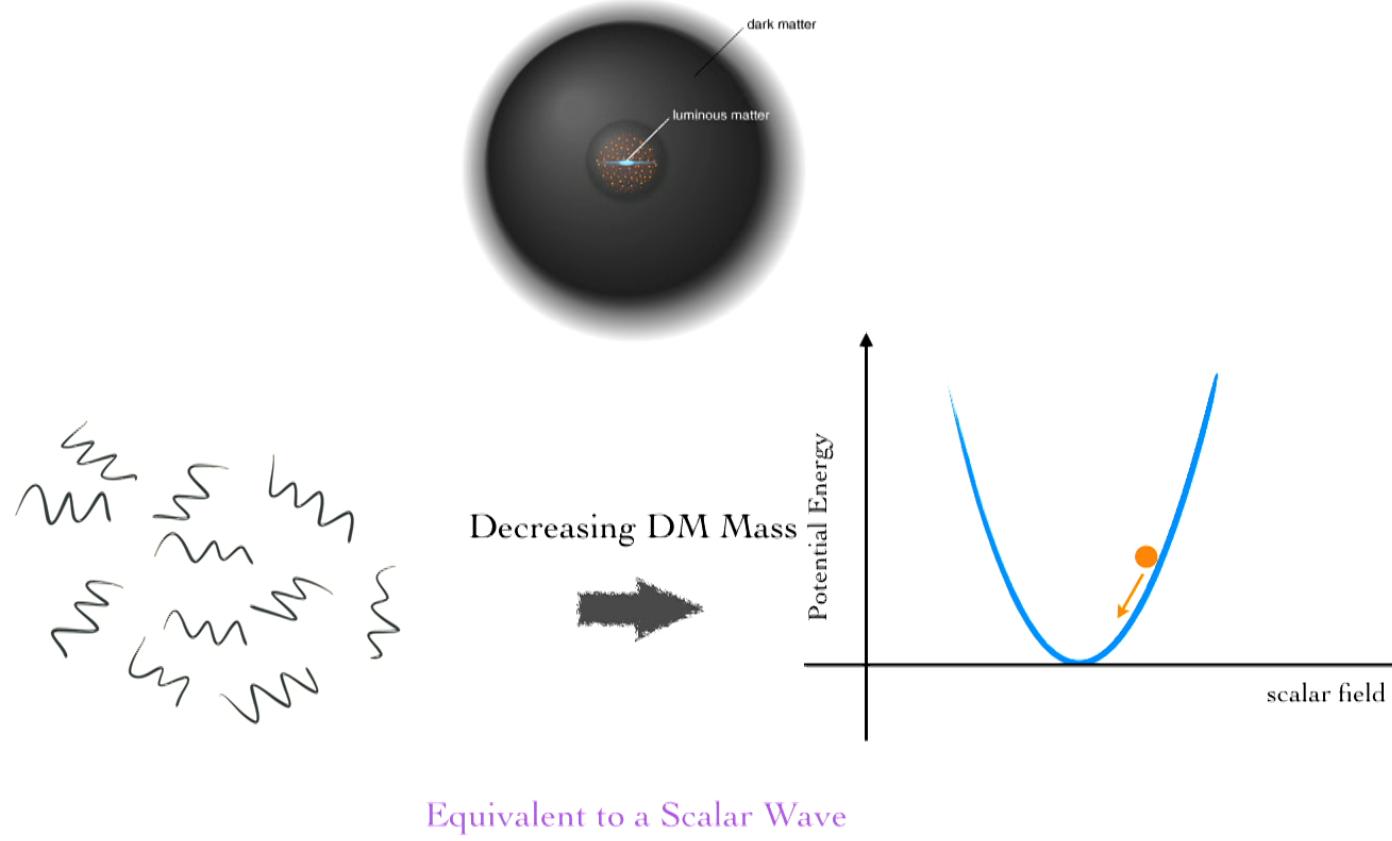
# What If DM Is a Boson and Very Light?

## Dark Matter Particles in the Galaxy



# What If DM Is a Boson and Very Light?

## Dark Matter Particles in the Galaxy



## Going from DM particles to a DM “wave”



When  $n_{DM} > \frac{1}{\lambda_{DM}^3}$

In our galaxy this happens when  $m_{DM} < 1 \text{ eV}/c^2$

we can talk about DM  $\phi(x,t)$  and locally

$$\phi(t) \approx \phi_0 \cos \omega_{DM} t$$

with amplitude

$$\phi_0 \propto \frac{\sqrt{\text{DM density}}}{\text{DM mass}}$$

with frequency

$$\omega_{DM} \approx \frac{m_{DM} c^2}{\hbar}$$

and finite coherence

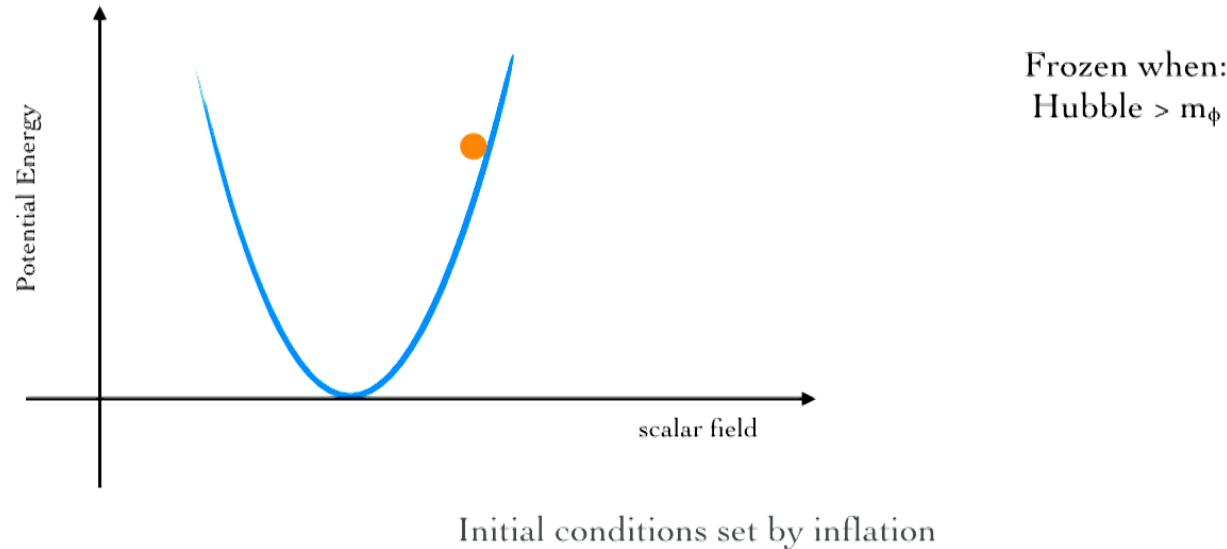
$$\delta\omega_{DM} \approx \frac{m_{DM} v^2}{\hbar} = 10^{-6} \omega_{DM}$$

# Light Scalar Dark Matter

- Just like a harmonic oscillator

$$\ddot{\phi} + 3 H \dot{\phi} + m_\phi^2 \phi = 0$$

$$\ddot{x} + \gamma \dot{x} + \omega^2 x = 0$$



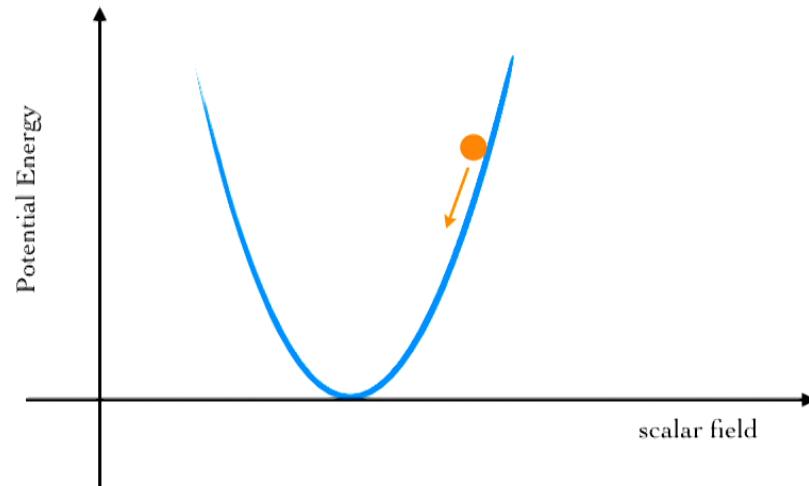
\*The story changes slightly if DM is a dark photon

# Light Scalar Dark Matter

- Just like a harmonic oscillator

$$\ddot{\phi} + 3 H \dot{\phi} + m_\phi^2 \phi = 0$$

$$\ddot{x} + \gamma \dot{x} + \omega^2 x = 0$$



Initial conditions set by inflation

Frozen when:  
Hubble >  $m_\phi$

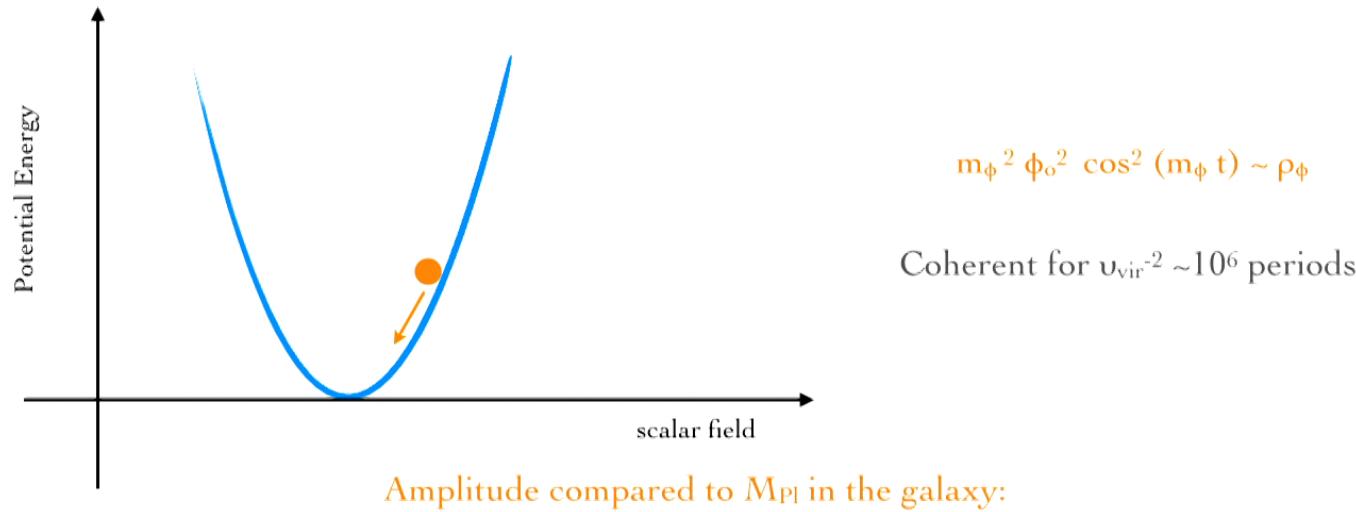
Oscillates when:  
Hubble <  $m_\phi$

$\rho_\phi$  scales as  $a^{-3}$   
just like **Dark Matter**

\*The story changes slightly if DM is a dark photon

# Light Scalar Dark Matter Today

- If  $m_\phi < 1 \text{ eV}$ , can still be thought of as a scalar field today



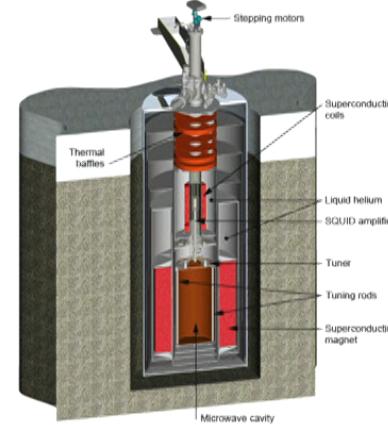
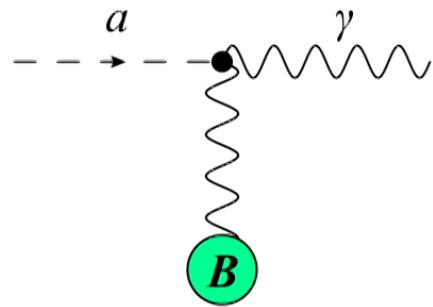
$$\kappa \phi_0 = \frac{\sqrt{8\pi \rho_\phi}}{m_\phi M_{\text{Pl}}} = 6.4 \cdot 10^{-13} \left( \frac{10^{-18} \text{ eV}}{m_\phi} \right)$$

# Axion Dark Matter

Some examples

- Axion-to-photon conversion in EM cavities (ex. ADMX )

$$\frac{a(x, t)}{f_a} \vec{E} \cdot \vec{B}$$



- At large wavelengths, axion detected via LC circuits (ex. ABRACADABRA)

# Axion Dark Matter

Some examples

Monopole-Dipole Interaction



Mass with  $N$  nucleons



Spin

Dipole-Dipole Interaction



$N$  spins

Spin

- Axion Force experiments (ex. ARIADNE) and DM experiments (ex. Casper)

# Dark Photon Dark Matter

Some examples

- Detected if kinetically mixed with the photon

$$\mathcal{L} \supset \epsilon(\vec{E}_{EM}\vec{E}_{DM} + \vec{B}_{EM}\vec{B}_{DM})$$

- Detected like a photon (ex. DM Radio and ADMX)

$$\text{DM electric field} \sim \sqrt{\rho_{DM}} \sim 50 \text{ V/cm}$$

# Moduli Dark Matter

- Moduli set values of measured fundamental constants
- Examples of couplings

$$d_{m_e} \frac{\phi}{M_P l} m_e e \bar{e}$$

Fundamental constants are not really constants

# Oscillating Fundamental Constants

From the local oscillation of Dark Matter

Ex. for the electron mass:

$$d_{m_e} \frac{\phi}{M_{Pl}} m_e e \bar{e}$$

$$\frac{\delta m_e}{m_e} \approx \frac{d_{m_e} \phi_o}{M_{Pl}} \cos(m_\phi t)$$

$$= 6 \times 10^{-13} \cos(m_\phi t) \frac{10^{-18} \text{ eV}}{m_\phi} \frac{d_{m_e}}{1}$$

Fractional variation set by square root of DM abundance

Need an extremely sensitive probe

## Other properties of light scalars

- Mediates new interactions in matter

- Generates a fifth force in matter



$$F \sim \frac{(d_i Q_i)^2}{4\pi M_{Pl}^2} \frac{M_1 M_2}{r^2} e^{-m_\phi r}$$

- Generates Equivalence Principle violation



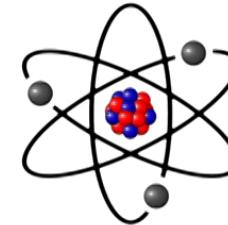
# Keeping the DM time with Atomic Clocks

with Junwu Huang  
and Ken Van Tilburg (2014)

# Oscillating Atomic and Nuclear Energy Splittings

- Optical Splittings

$$\Delta E_{\text{optical}} \propto \alpha_{EM}^2 m_e \sim \text{eV}$$



- Hyperfine Splittings

$$\Delta E_{\text{hyperfine}} \propto \Delta E_{\text{optical}} \alpha_{EM}^2 \left( \frac{m_e}{m_p} \right) \sim 10^{-6} \text{ eV}$$

- Nuclear Splittings

$$\Delta E (m_p, \alpha_s, \alpha_{EM}) \sim 1 \text{ MeV}$$

DM appears as a signature in atomic (or nuclear) clocks

# Atomic Clocks

- Kept tuned to an atomic energy level splitting

**Current definition of a second:**

the duration of **9192631770** periods of the radiation corresponding to the transition between the two hyperfine levels of the ground state of the **caesium 133** atom

- Have shown stability of 1 part in  $10^{18}$

Compared to 1 part in  $10^{15}$  expected by DM

- Have won several Nobel prizes in the past 20 years

# How does an Atomic Clock Work?

Keep a laser tuned to a long-lived (> minutes) atomic transition



How well can I measure the frequency of the laser when tuned to the atom?

$$\frac{\delta f}{f} \sim \frac{\Gamma_{\text{atom}}}{f} \frac{1}{\sqrt{N_{\text{atoms}}}} \sqrt{\frac{\tau_{\text{cycling}}}{t_{\text{experiment}}}}$$

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$$\frac{\delta f}{f} \sim \frac{\Gamma_{\text{atom}}}{f} \frac{1}{\sqrt{N_{\text{atoms}}}} \sqrt{\frac{\tau_{\text{cycling}}}{t_{\text{experiment}}}}$$

Number of times the observation is repeated

$\tau_{\text{cycling}}$  time that it takes to do one measurement (of order the atomic lifetime)

## How do you take the measurements?

- Observe two clocks every  $\tau_{\text{cycling}}$  to remove systematics
- Calculate ratio of frequencies which depends on Dark Matter
- Take Fourier transform to look for oscillations with period longer than  $\tau_{\text{cycling}}$

Atomic Clock DM searches are broadband searches

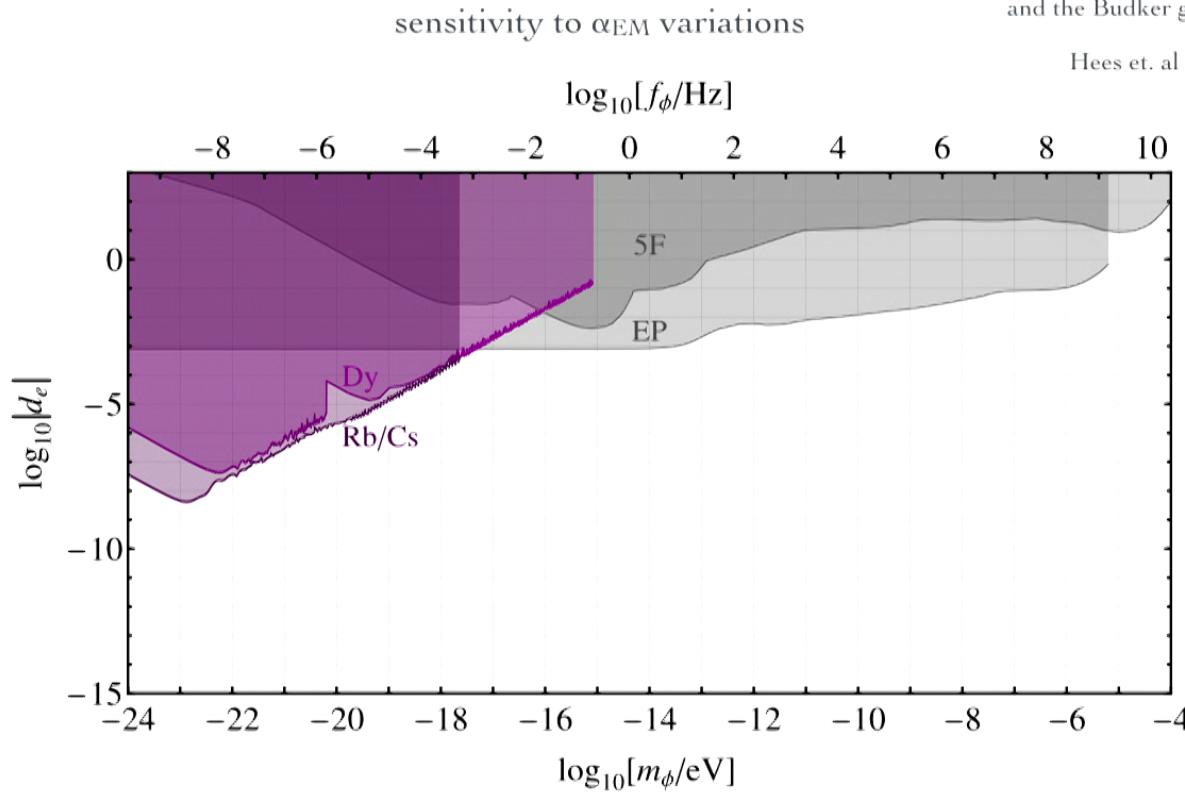
## What type of comparisons can we do?

- Hyperfine to Optical transitions
  - Sensitive to  $m_e$ ,  $m_q$ , and  $\alpha_s$  (less to  $\alpha_{EM}$ )
- Optical to Optical transitions
  - Sensitive to  $\alpha_{EM}$
- Nuclear to Optical transitions
  - Sensitive to  $m_e$ ,  $\alpha_{EM}$ ,  $m_q$ , and  $\alpha_s$

# The Dy isotope and Rb/Cs Clock Comparison

Ken Van Tilburg  
and the Budker group (2015)

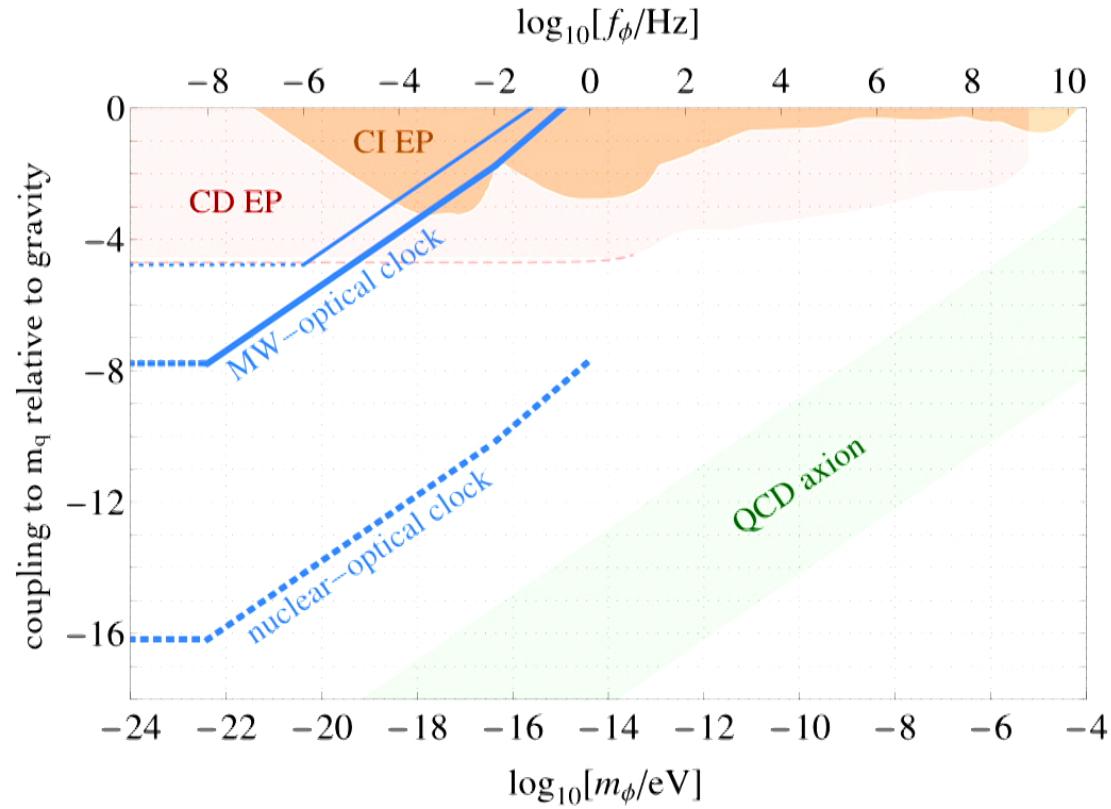
Hees et. al (2016)



Analysis performed with existing data

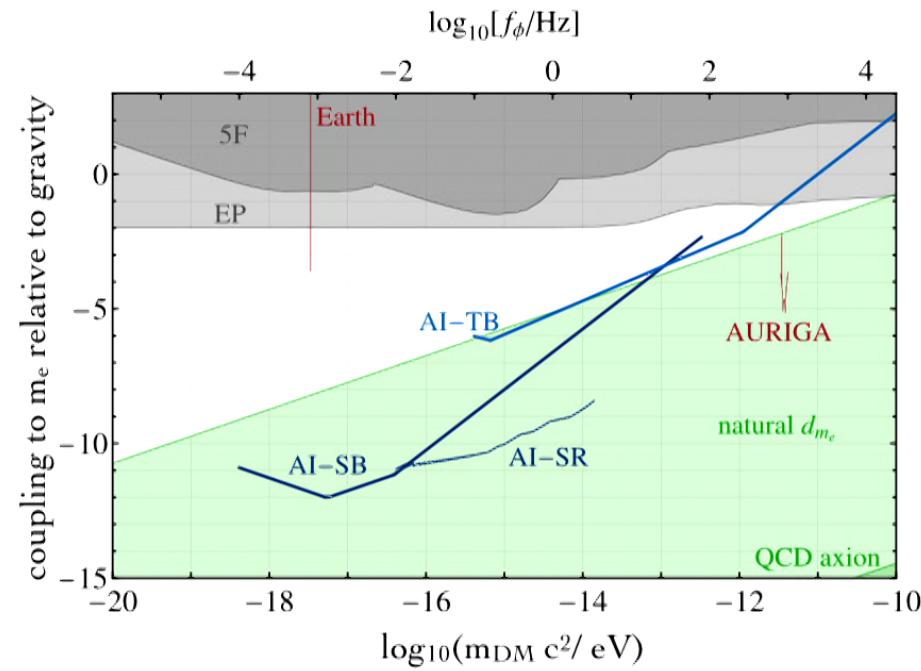
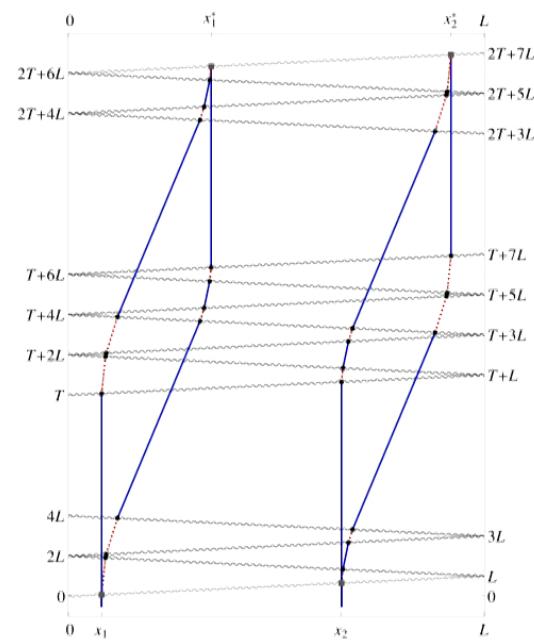
# Nuclear to Optical Clock Comparison

Future Sensitivity of a  $^{229}\text{Th}$  clock with  $10^{-15}/\text{Hz}^{1/2}$  noise



# Comparison of two spatially separated Sr clocks

with Peter Graham, Jason Hogan,  
Surjeet Rajendran and Ken Van Tilburg (2016)



Gravitational Wave interferometers such as aLIGO not sensitive enough due to laser noise

## Oscillating interatomic distances

- The Bohr radius changes with DM

- $r_B \sim (\alpha m_e)^{-1}$

$$\frac{\delta r_B}{r_B} = - \left( \frac{\delta \alpha_{EM}}{\alpha_{EM}} + \frac{\delta m_e}{m_e} \right)$$

- The size of solids changes with DM

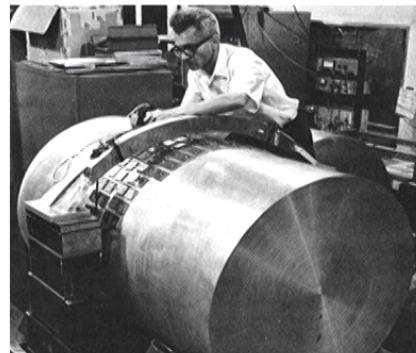
- $L \sim N (\alpha m_e)^{-1}$

$$\frac{\delta L}{L} = - \left( \frac{\delta \alpha_{EM}}{\alpha_{EM}} + \frac{\delta m_e}{m_e} \right)$$

Need macroscopic objects to get a detectable signal

# Resonant-Mass Detectors

- In the 1960's: **The Weber Bar**

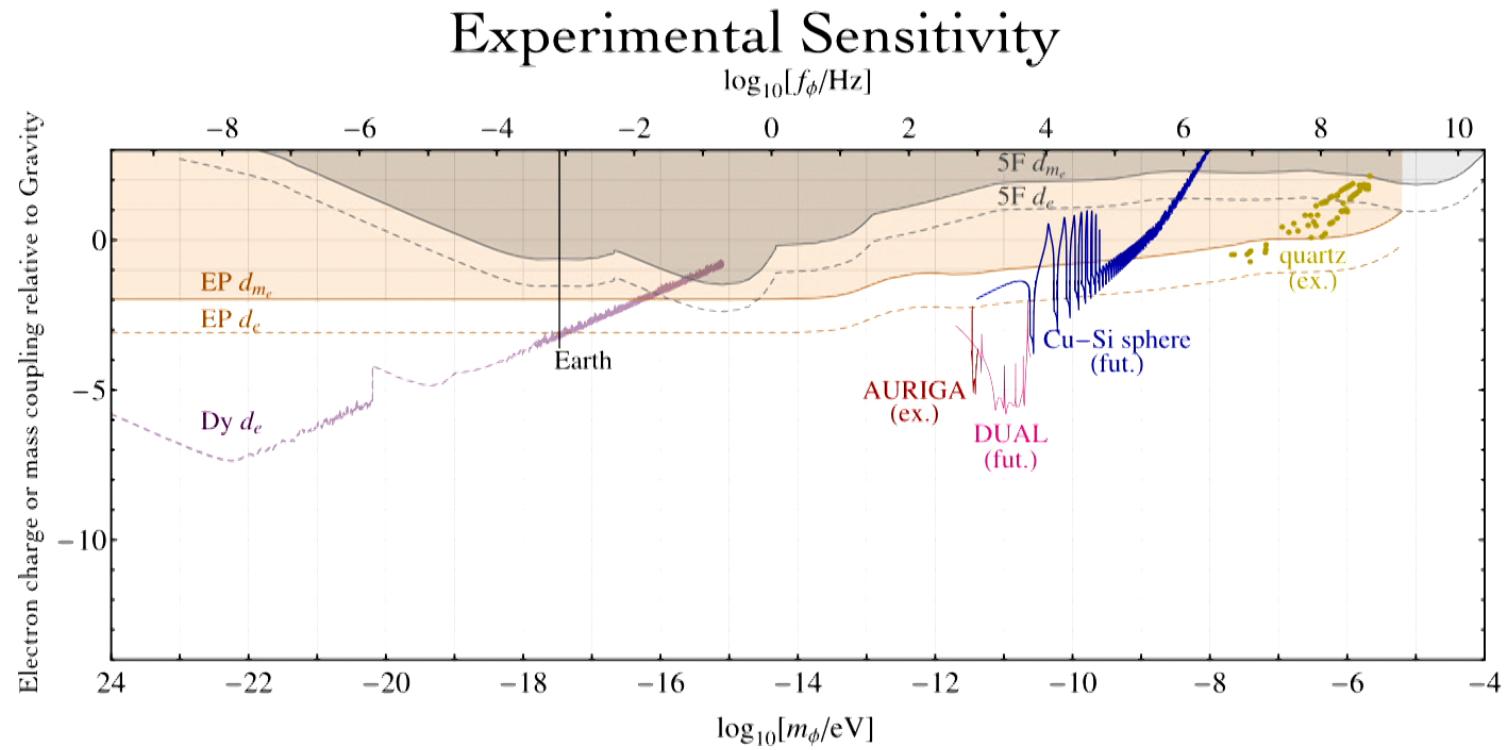


Strain sensitivity  $h \sim 10^{-17}$

- Today: AURIGA, NAUTILUS, MiniGrail



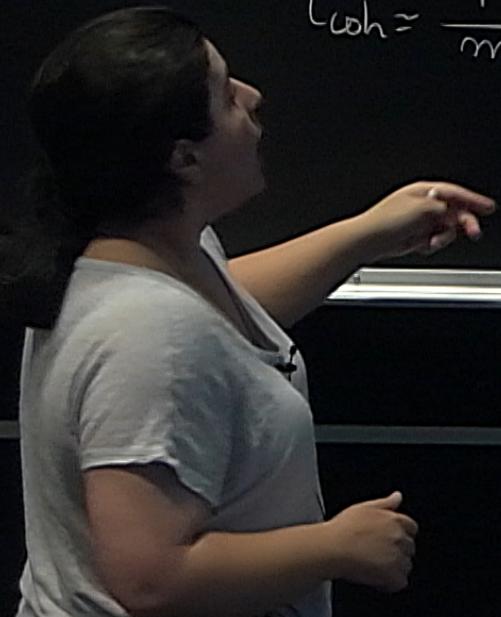
Strain sensitivity  $h \sim 10^{-23}$



$$f \sim m \sim \lambda_{\text{compton}}^{-1}$$

$$\lambda_{\text{coh}} = \frac{1}{mv} \sim 10^3 \frac{1}{m}$$

$$\tau_{\text{coh}} = \frac{1}{mv^2} \sim 10^6 \frac{1}{m}$$



CAUTION

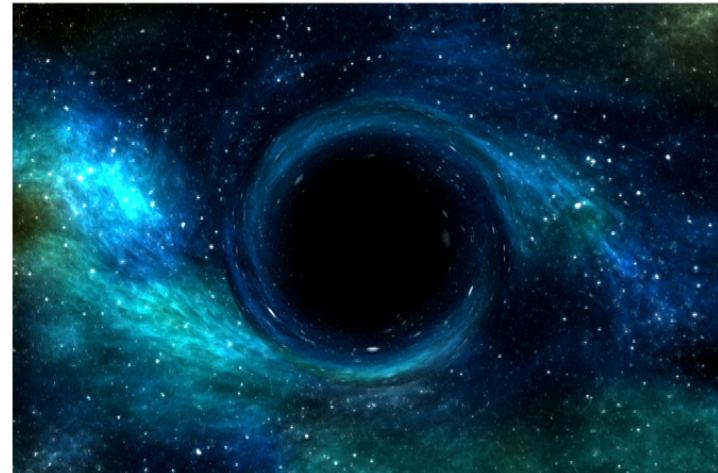
How do we look for Dark Matter if it only  
couples through gravity?

# Black Holes as Particle Detectors

with

Dimopoulos, Dubovsky, Kaloper, March-Russell (2009)  
Dubovsky(2010)  
Baryakhtar, Huang (2014)  
Baryakhtar, Dimopoulos, Dubovsky, Lasenby (2016)

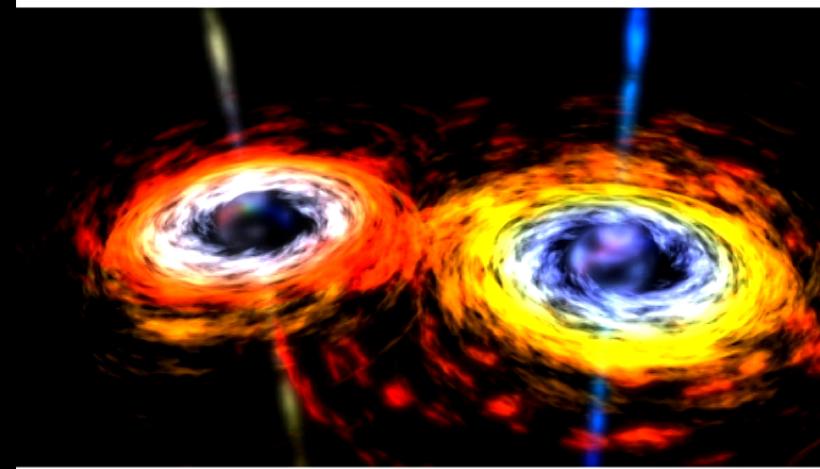
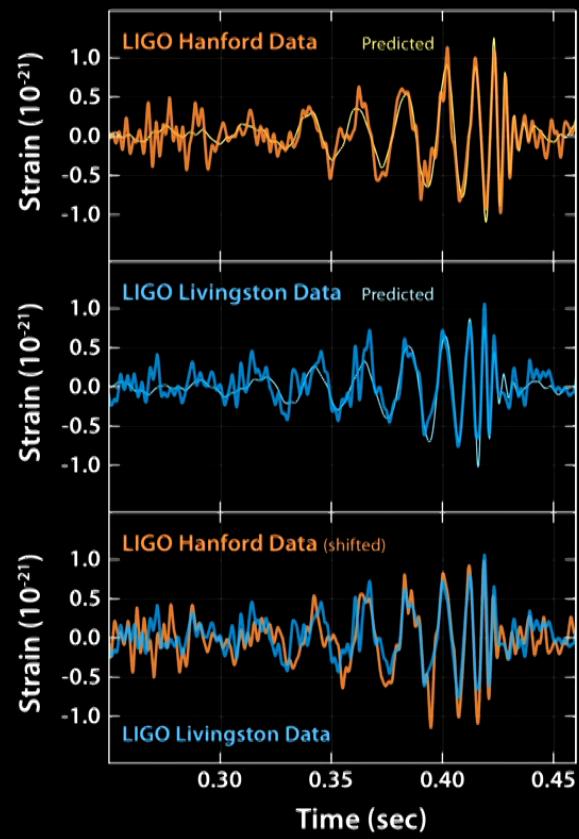
# Black Holes as Nature's Detectors



1 km - 10 billion km

They can detect bosons of similar in size

September 14, 2015

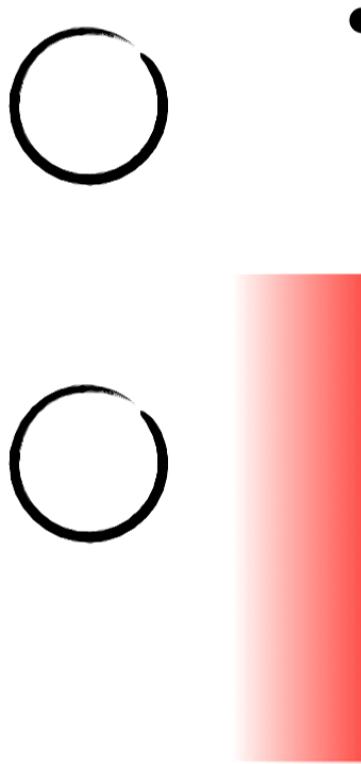


## Super-Radiance Cartoon



Super-radiant scattering of a massive object

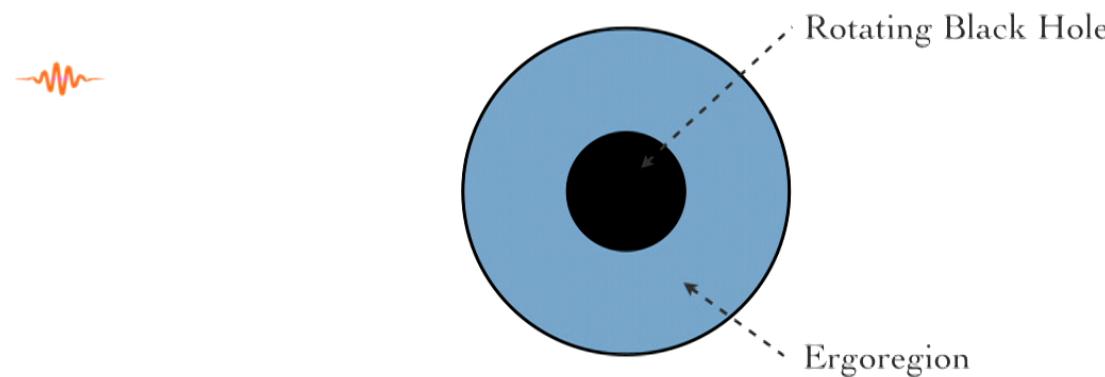
## Super-Radiance Cartoon



Super-radiant scattering of a wave

# Black Hole Superradiance

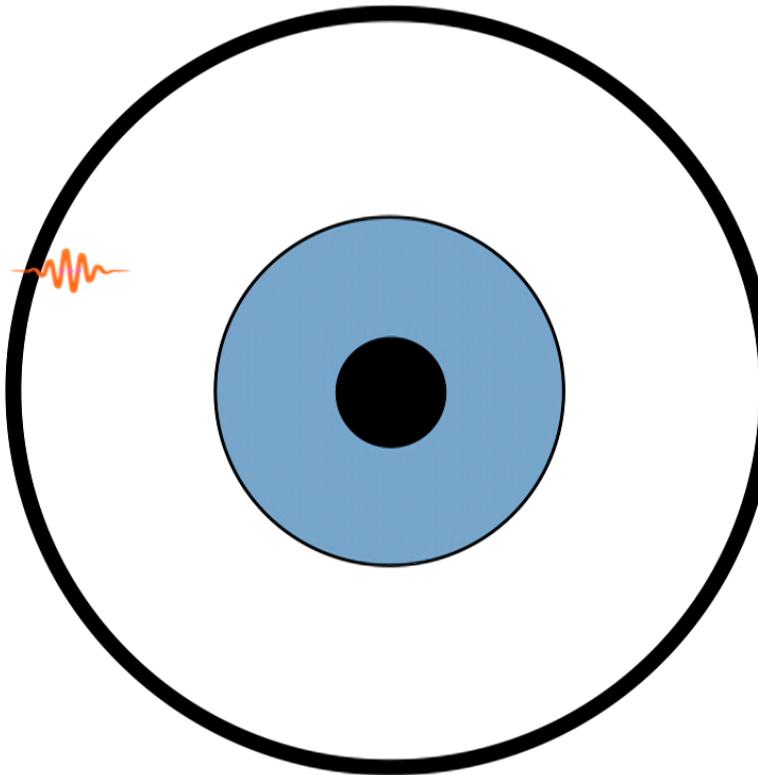
Penrose Process



Ergoregion: Region where even light has to be rotating

# Black Hole Bomb

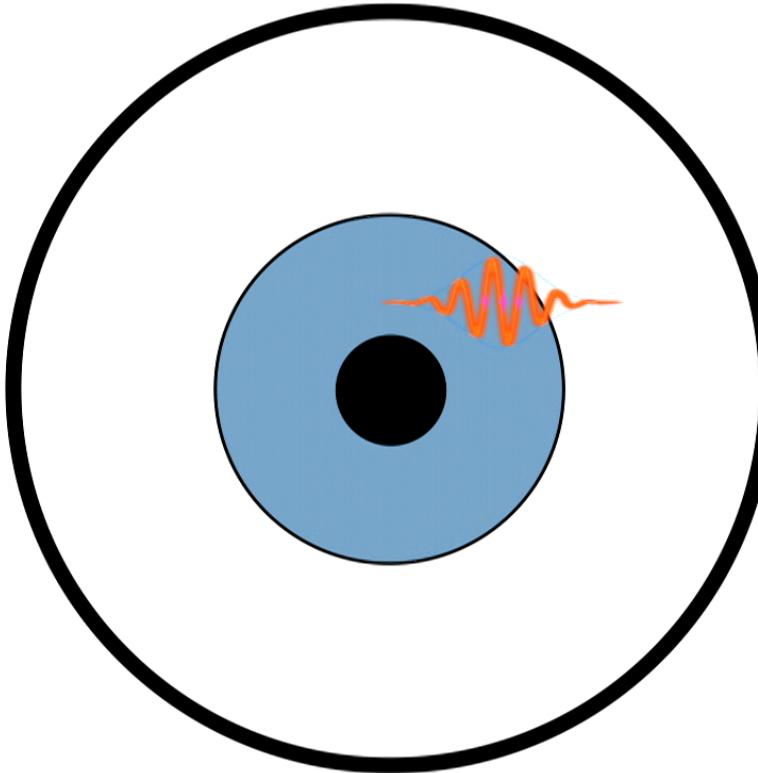
Press & Teukolsky 1972



Photons reflected back and forth from the black hole  
and through the ergoregion

# Black Hole Bomb

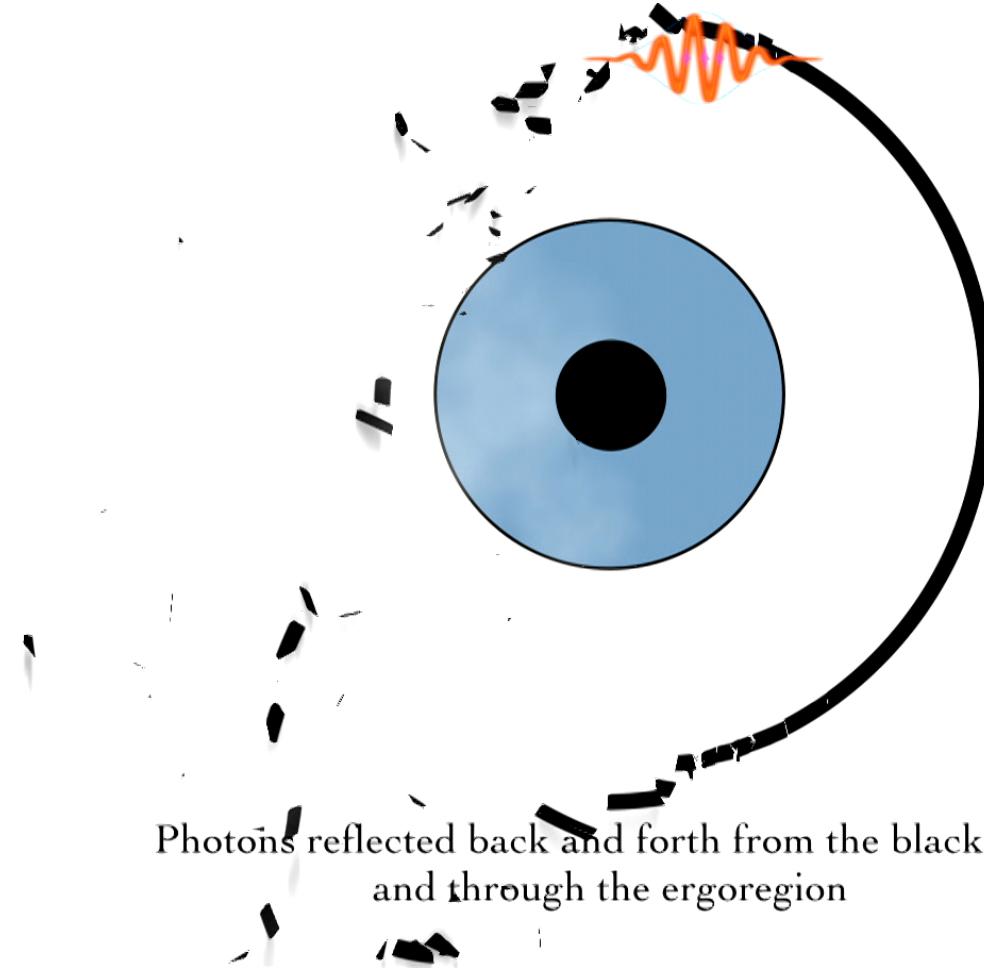
Press & Teukolsky 1972



Photons reflected back and forth from the black hole  
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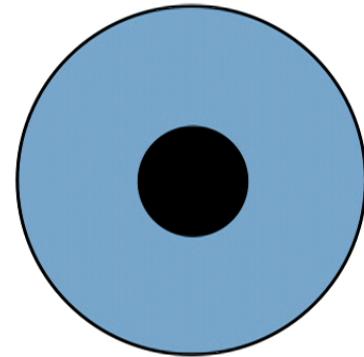
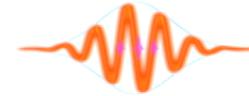
# Black Hole Bomb

Press & Teukolsky 1972



# Black Hole Bomb

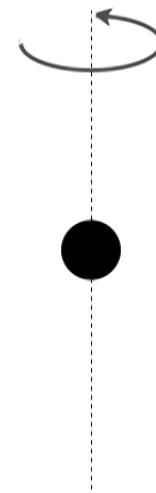
Press & Teukolsky 1972



Photons reflected back and forth from the black hole  
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# Superradiance for a massive boson

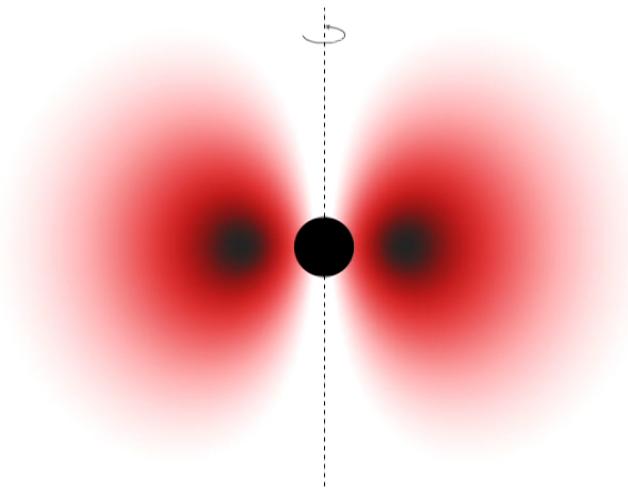
Damour et al; Zouros & Eardley;  
Detweiler; Gaina (1970s)



Particle Compton Wavelength comparable to the size of the Black Hole

# Superradiance for a massive boson

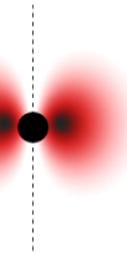
Damour et al; Zouros & Eardley;  
Detweiler; Gaina (1970s)



Particle Compton Wavelength comparable to the size of the Black Hole

# Gravitational Atom in the Sky

The gravitational Hydrogen Atom



Fine-structure constant:

$$\alpha = G_N M_{\text{BH}} \mu_a = R_g \mu_a$$

Principal ( $n$ ), orbital ( $l$ ), and  
magnetic ( $m$ ) quantum number for each level

$$E_{\text{binding}} = -\frac{\alpha^2 \mu_a}{2n^2}$$

Main differences from hydrogen atom:

Levels occupied by bosons - occupation number  $> 10^{77}$

In-going Boundary Condition at Horizon

# Superradiance Parametrics

## Superradiance Condition

$$\omega_{\text{axion}} < m \Omega_+$$

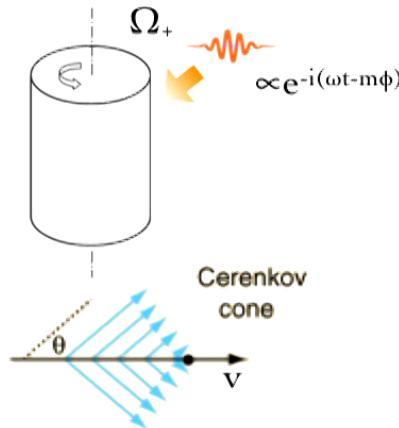
$m$  : magnetic quantum number

$\Omega_+$  : angular velocity of the BH

Universal Phenomenon:

Superluminal rotational motion of a conducting cylinder

Superluminal linear motion - Cherenkov radiation  $1/n(\omega) < v$



Condition can be extracted from requiring that  $dA_{\text{BH}} > 0$

# Superradiance Parametrics

## Superradiance Rate

$$\tau_{sr} \sim 0.6 \times 10^7 R_g \text{ for } R_g \mu_a \sim 0.4$$

As short as 100 sec vs  $\tau_{\text{accretion}} \sim 10^8$  years

When  $R_g \mu_a \gg 1$ ,

$$\tau_{sr} = 10^7 e^{3.7(\mu_a R_g)} R_g$$

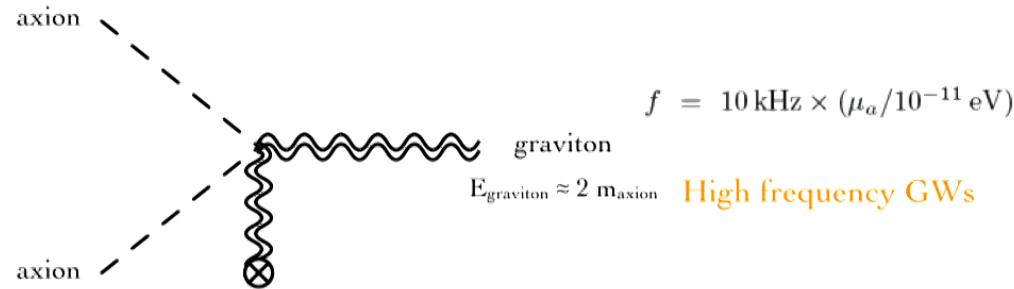
When  $R_g \mu_a \ll 1$

$$\tau_{sr} = \left( \frac{24}{a} \right) (\mu_a R_g)^{-9} R_g$$



# Super-Radiance Signatures

## GW annihilations



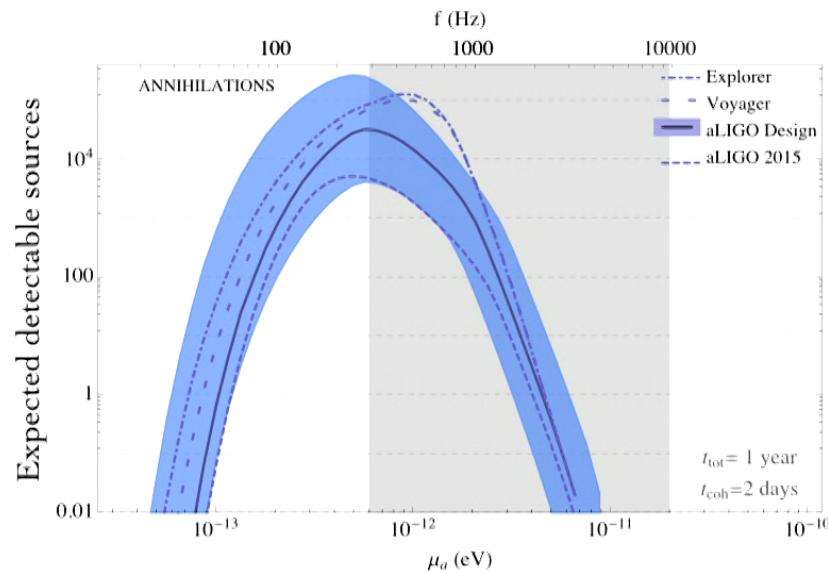
- Signal enhanced by the square of the occupation number of the state

$$h_{\text{peak}} \simeq 10^{-22} \left( \frac{1 \text{ kpc}}{r} \right) \left( \frac{\alpha/\ell}{0.5} \right)^{\frac{p}{2}} \frac{\alpha^{-\frac{1}{2}}}{\ell} \left( \frac{M}{10 M_{\odot}} \right)$$

- Signal **duration** determined by the annihilation rate (can last thousands of years)

# Expected Events from Annihilations

- Large uncertainties coming from tails of BH mass distribution

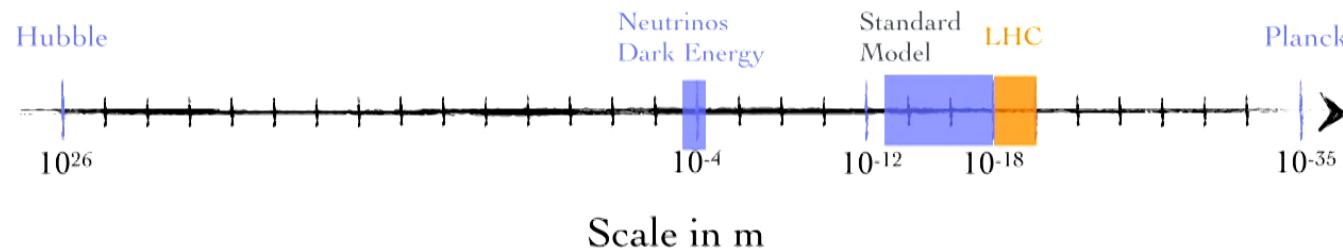


Pessimistic: flat spin distribution and 0.1 BH/century

Realistic: 30% above spin of 0.8 and 0.4 BH/century

Optimistic: 90% above spin of 0.9 and 0.9 BH/century

# Length Scales in the Universe



*There are more things in heaven and earth, Horatio,  
Than are dreamt of in your philosophy.  
- Hamlet*

Hubble

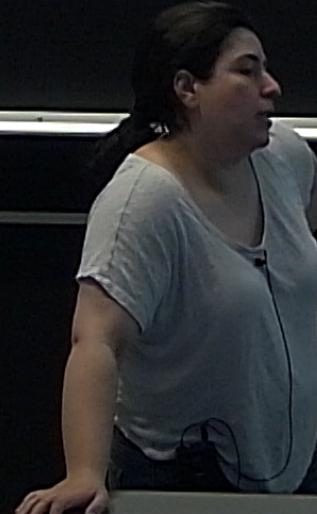


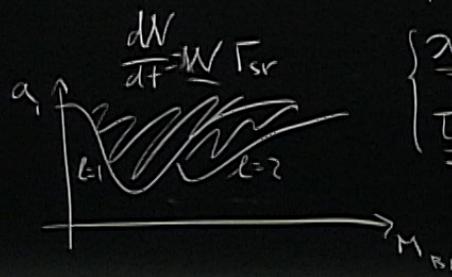
There are  
Than are  
- Hamlet

$$f \sim m \sim \lambda_{\text{compton}}^{-1}$$

$$\frac{dN}{dt} = N \Gamma_{\text{sr}}$$

$$\begin{cases} \underline{\lambda_{\text{coh}}} = \frac{1}{mv} \sim 10^3 \frac{1}{m} \\ \underline{T_{\text{coh}}} = \frac{1}{mv^2} \sim 10^6 \cdot \frac{1}{m} \end{cases}$$



$$f \sim m \sim \lambda_{\text{compton}}^{-1}$$
$$\frac{dN}{dt} = N \Gamma_{\text{sr}}$$


$$\begin{cases} \underline{\lambda}_{\text{coh}} = \frac{1}{mv} \sim 10^3 \frac{1}{m} \\ \underline{\tau}_{\text{coh}} = \frac{1}{mv^2} \sim 10^6 \cdot \frac{1}{m} \end{cases}$$

