

Title: CMB Foregrounds: Problems, Parameterizations, and Progress

Date: May 23, 2018 10:00 AM

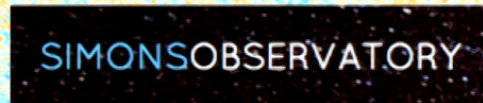
URL: <http://pirsa.org/18050009>

Abstract: <p>The next frontiers in cosmic microwave background (CMB) science include a detailed mapping of the CMB polarization anisotropy, with goals of detecting the inflationary B-mode signal and reconstructing high-fidelity maps of the matter distribution via CMB lensing, as well as a first detection of CMB spectral distortions.&nbsp; At this level of precision ( $\sim nK$ ), Galactic and extragalactic foregrounds may be the ultimate limiting factor in deriving cosmological constraints.&nbsp;&nbsp;&nbsp;I will discuss biases due to foregrounds in CMB lensing measurements, including the first calculation of the lensing bias due to the kinematic Sunyaev-Zelâ€™dovich effect, as well as recent progress in developing novel foreground-free CMB lensing estimators.&nbsp; I will then present methods to extend CMB foreground parameterizations in a systematic, flexible way, with applications to both polarization and spectral distortion measurements.&nbsp; Using this framework, I will discuss spectral distortion forecasts for CMB spectrometer mission concepts, showing that high-significance measurements of the Compton- $y$  and relativistic thermal Sunyaev-Zelâ€™dovich signals can be expected, as well as a potential detection of the primordial mu-type distortion due to Silk damping of small-scale acoustic modes.</p>

# CMB Foregrounds: Problems, Parameterizations, and Progress

Colin Hill

Institute for Advanced Study  
Flatiron Institute - Center for Computational Astrophysics



1608.03169  
1705.02332  
1705.06751  
1711.10524

Perimeter Institute  
22 May 2018

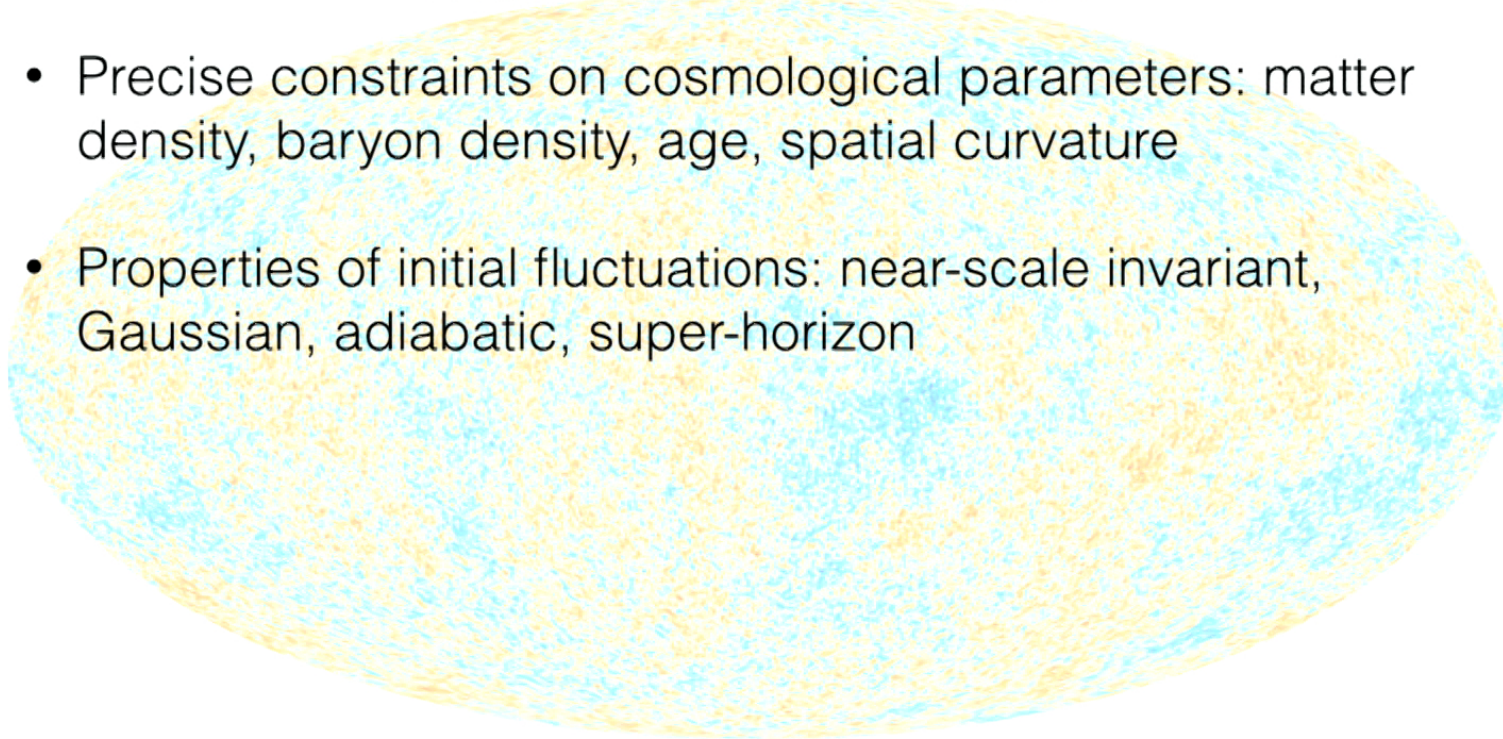
1

1508.07005  
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1802.08230

# Cosmic Microwave Background

## What have we learned?

- Precise constraints on cosmological parameters: matter density, baryon density, age, spatial curvature
- Properties of initial fluctuations: near-scale invariant, Gaussian, adiabatic, super-horizon



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## What questions remain?

- How did structure grow?

### **Neutrinos, dark energy, modified gravity**

- How did galaxies form? Where are baryons today?

### **Astrophysical feedback**

- What seeded the initial fluctuations?

### **Inflation**

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# Cosmic Microwave Background

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- Precise constraints on cosmological parameters: matter density, baryon density, age, spatial curvature
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- How did structure grow? **→ CMB Lensing**  
**Neutrinos, dark energy, modified gravity**

- How did galaxies form? Where are baryons today?  
**Astrophysical feedback**

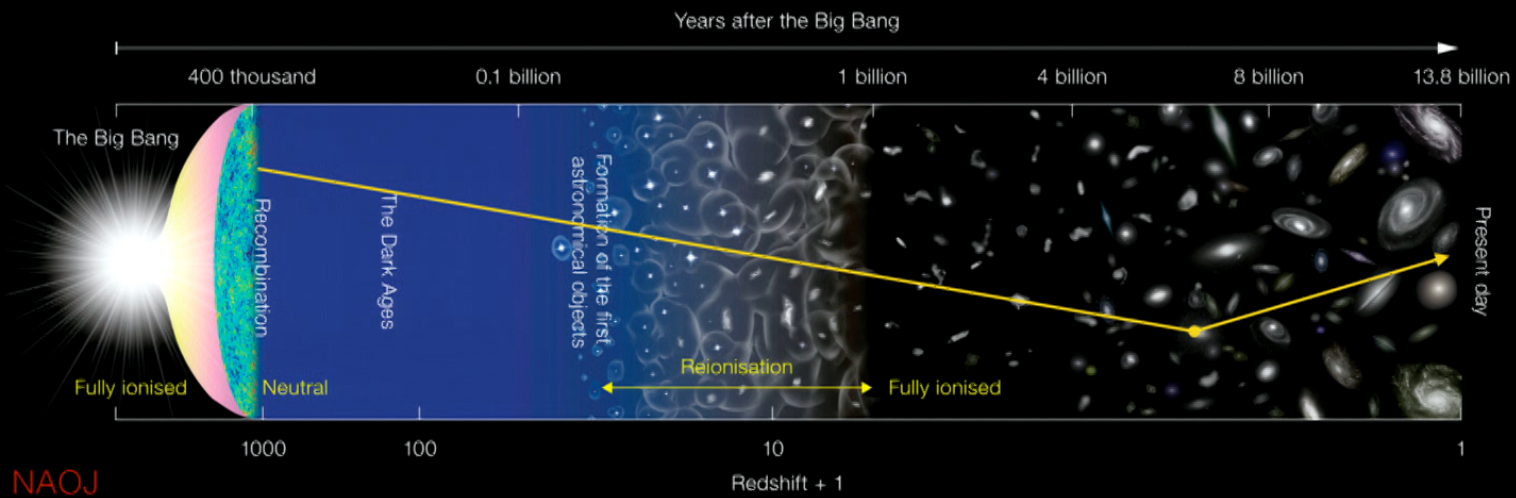
- What seeded the initial fluctuations?  
**Inflation → CMB Polarization**  
**CMB Spectral Distortions**

# Cosmic Microwave ~~Background~~ Backlight

# Cosmic Microwave Backlight

## Secondary Anisotropies

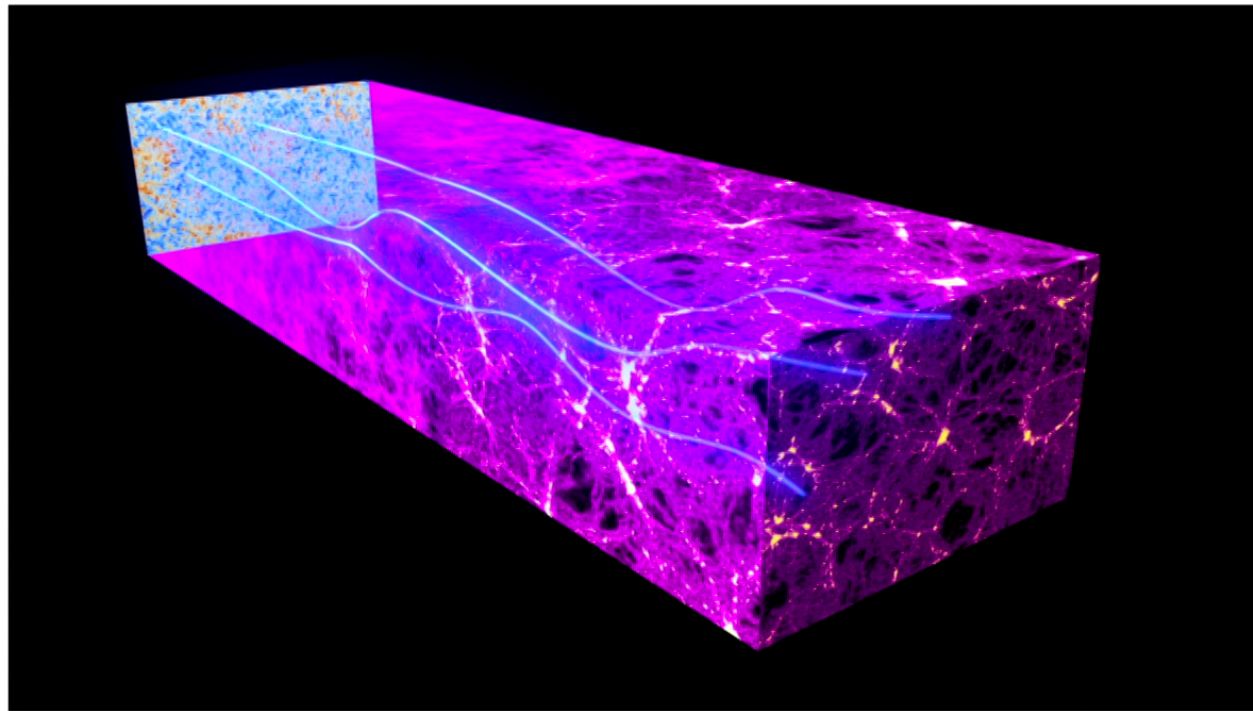
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IAS/CCA



# Gravitational Lensing of the CMB

The paths of CMB photons are bent by the gravity of intervening matter (e.g., clusters of galaxies) along the way

**sensitive to *total* matter density — including dark matter**





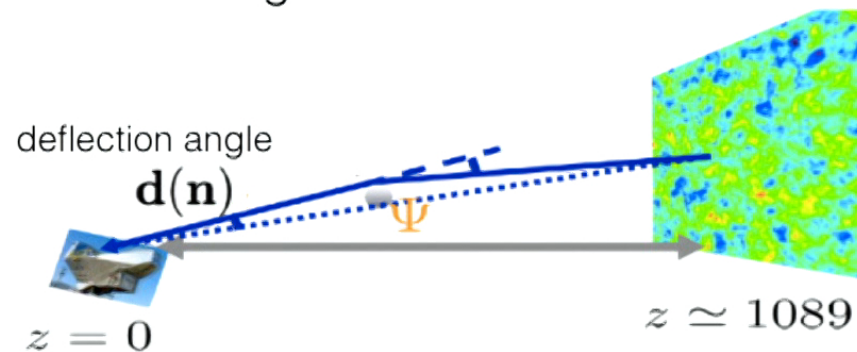
# CMB Lensing

→ Integrated Total Mass

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Re-mapping of CMB fluctuations (preserves blackbody form)

Many (~50) small random deflections lead to a net deflection (~2-3 arcmin), coherent on ~deg scales



$$T(\hat{\mathbf{n}})_{\text{lensed}} = T(\hat{\mathbf{n}} + \mathbf{d}(\hat{\mathbf{n}}))_{\text{unlensed}}$$

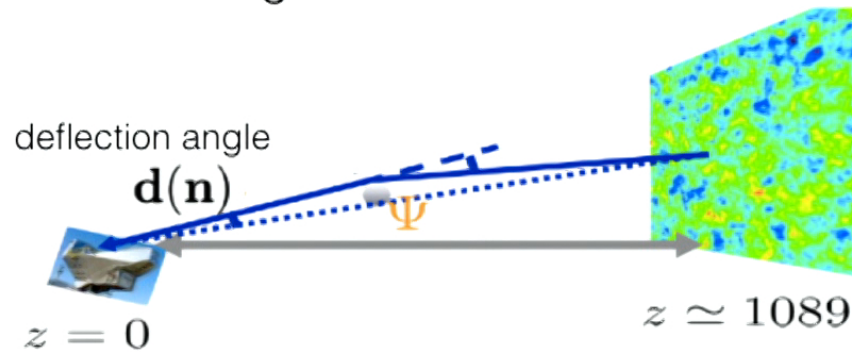
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$$T(\hat{\mathbf{n}})_{\text{lensed}} = T(\hat{\mathbf{n}} + \mathbf{d}(\hat{\mathbf{n}}))_{\text{unlensed}}$$

Quadratic  
reconstruction:

$$\phi(\vec{\mathbf{L}}) \sim T(\vec{\ell})T(\vec{\mathbf{L}} - \vec{\ell})$$

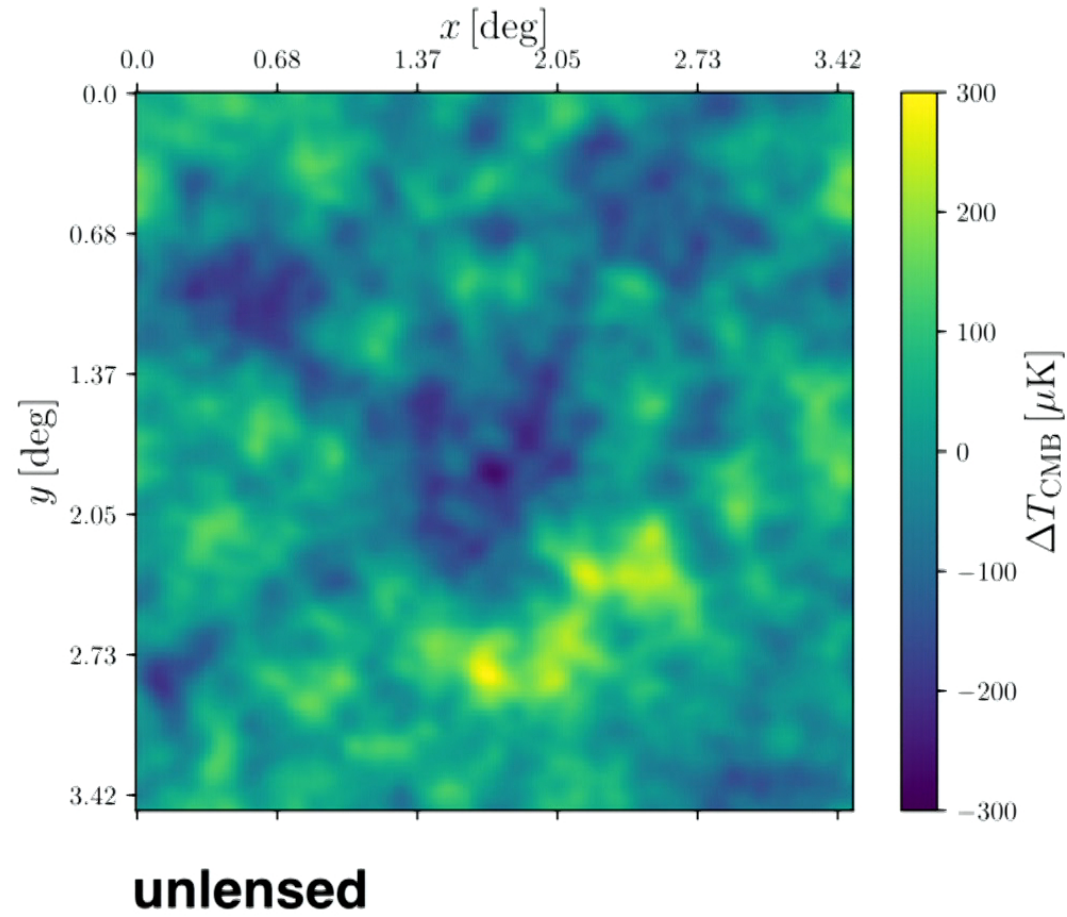
lensing potential

$$\vec{\mathbf{d}} = \nabla\phi$$

# CMB Lensing

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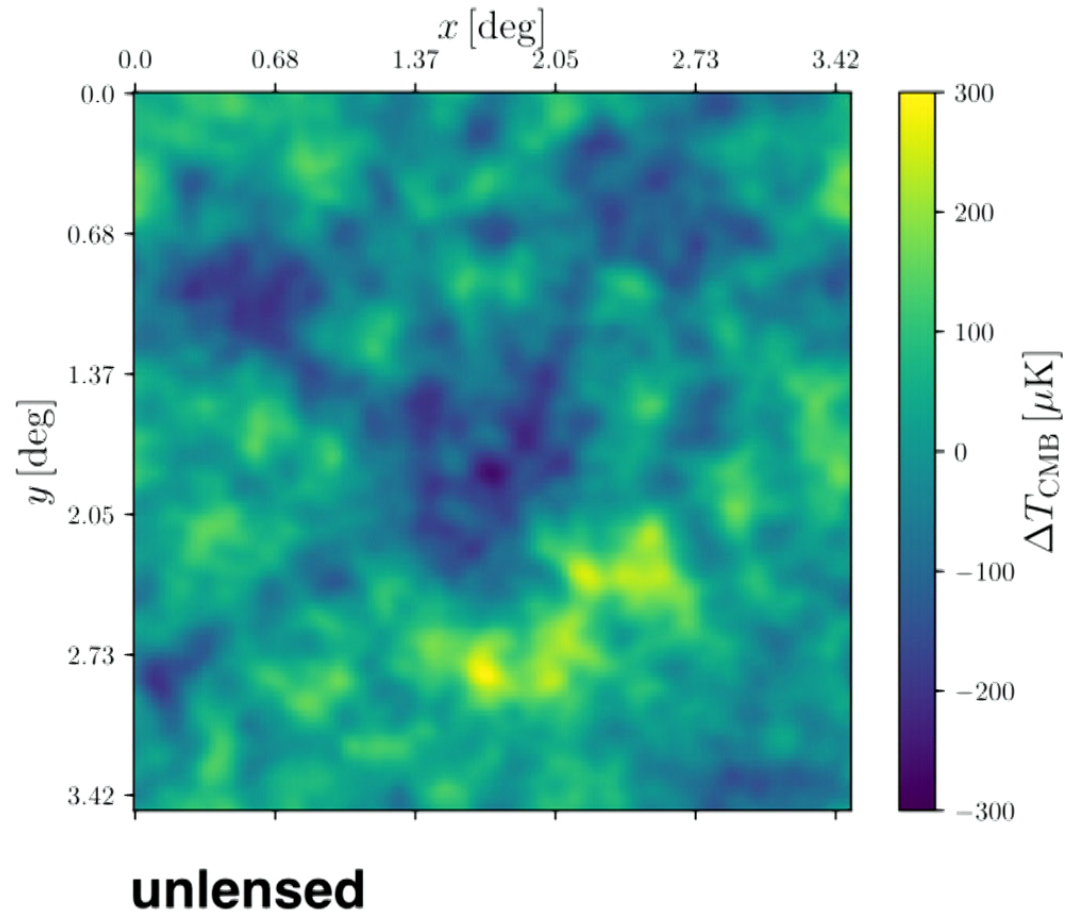
→ Integrated Total Mass



# CMB Lensing

→ Integrated Total Mass

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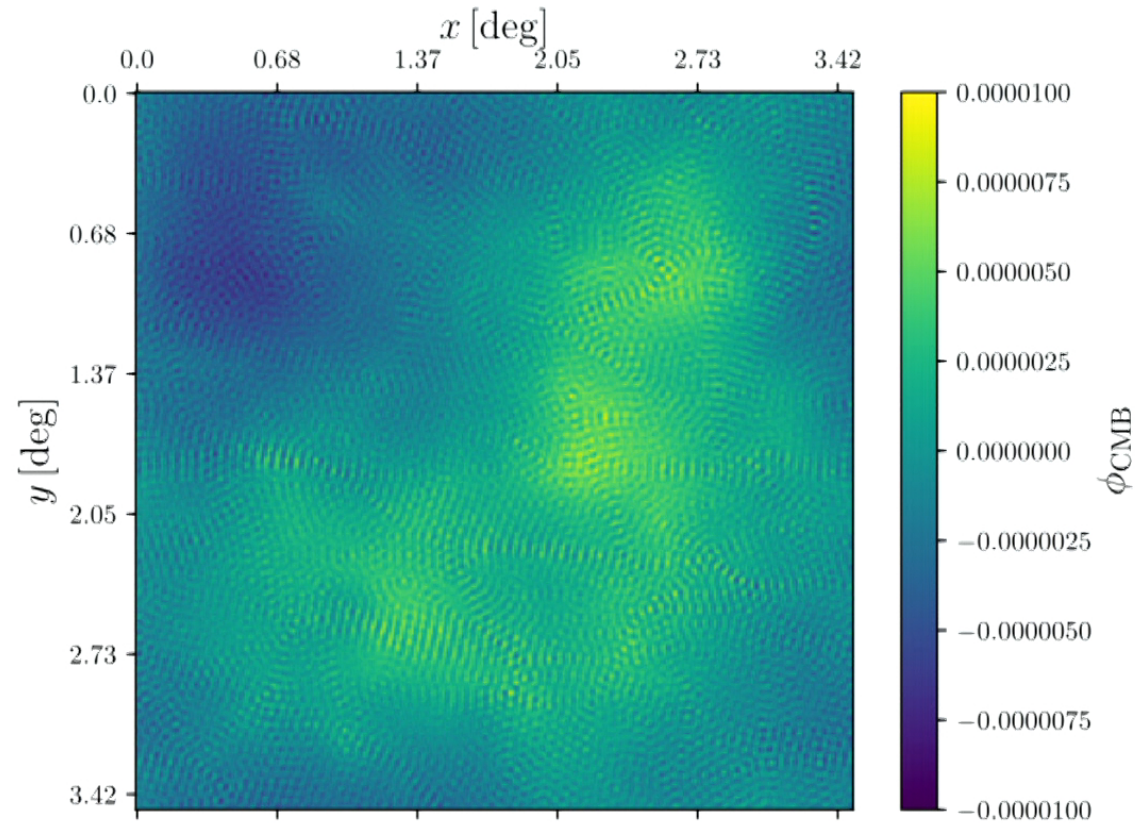


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# CMB Lensing

→ Integrated Total Mass

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**reconstructed lensing potential**

(TT-only)

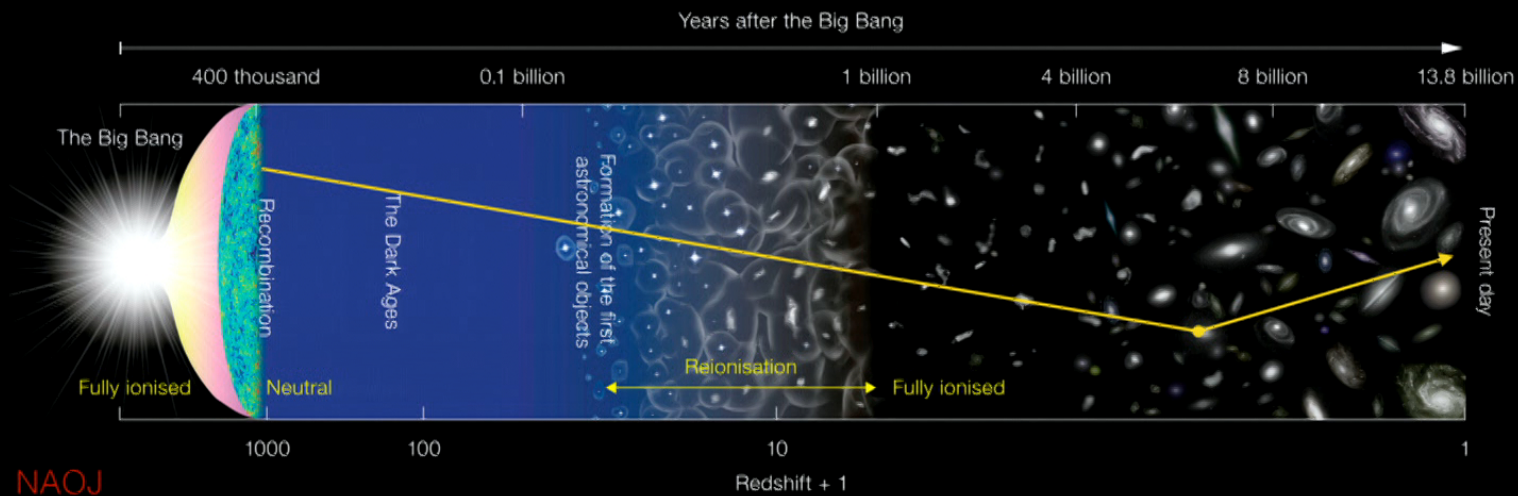
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AdvACT-like experiment:  
FWHM=1.4' + 6  $\mu\text{K}$ ' noise

# Cosmic Microwave Backlight

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## Secondary Anisotropies



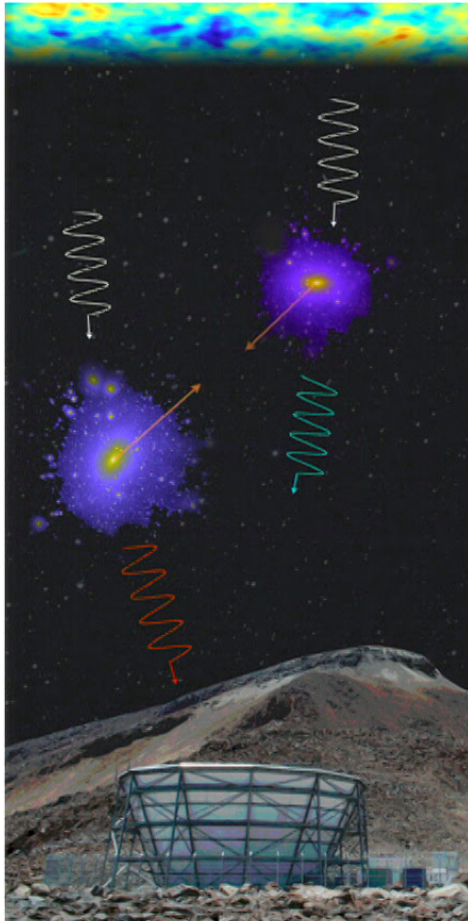
NAOJ

- Deflection: gravitational lensing
  - Scattering: thermal / kinematic Sunyaev-Zel'dovich effect
- redshift-independent**

# Kinematic SZ Effect

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IAS/CCA

→ Integrated Electron Momentum



Kinematic Sunyaev-Zel'dovich Effect:  
Doppler boosting of CMB photons  
Compton-scattering off free electrons  
with non-zero line-of-sight velocity

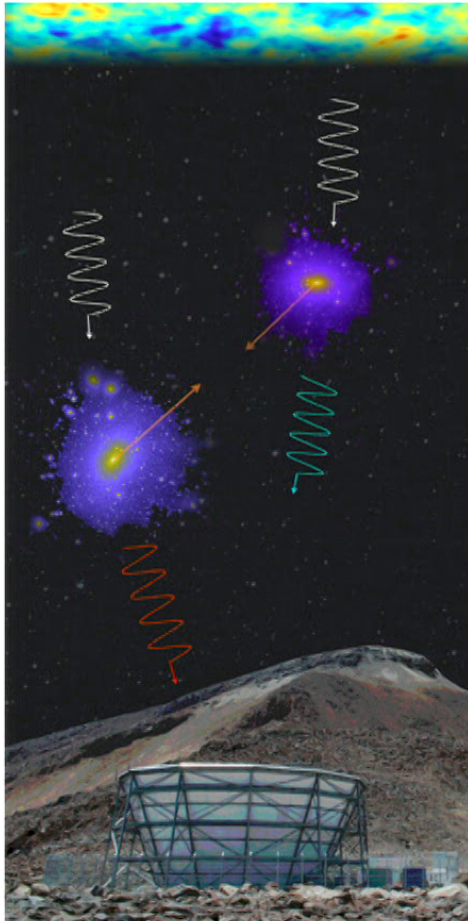
Sudeep Das/ACT

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# Kinematic SZ Effect

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IAS/CCA

## → Integrated Electron Momentum



Sudeep Das/ACT

Kinematic Sunyaev-Zel'dovich Effect:  
Doppler boosting of CMB photons  
Compton-scattering off free electrons  
with non-zero line-of-sight velocity

- Preserves blackbody CMB spectrum

- Probe of electron momentum field

$$\frac{\Delta T_{\text{kSZ}}(\hat{\mathbf{n}})}{T_{\text{CMB}}} = -\frac{1}{c} \int_0^{\eta_{\text{re}}} d\eta g(\eta) \mathbf{p}_e \cdot \hat{\mathbf{n}}$$

↑  
visibility function

- Unbiased tracer of free electrons — a precise tool to measure gas distribution (e.g., find “missing baryons”)

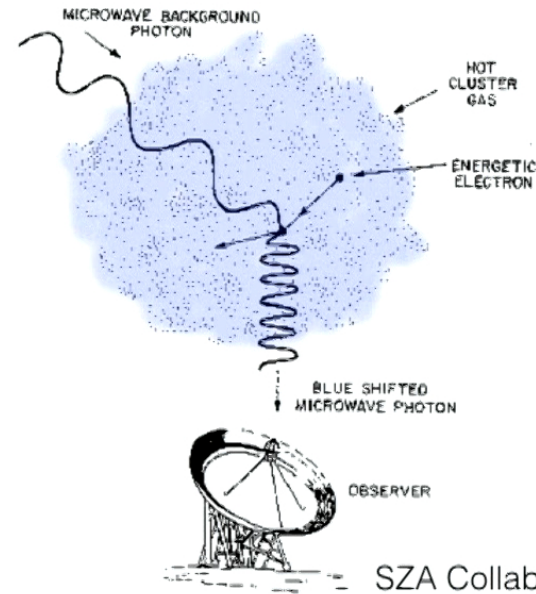


# Thermal SZ Effect

## → Integrated Electron Pressure

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IAS/CCA

Thermal SZ Effect:  
Change in temperature of CMB photons due to inverse Compton scattering off **hot** electrons, most of which are in the intracluster medium (ICM) of galaxy clusters



Compton- $y$

$$\frac{\Delta T_{\text{tSZ}}}{T_{\text{CMB}}} = g_{\nu} \frac{\sigma_T}{m_e c^2} \int P_e(\chi) d\chi$$

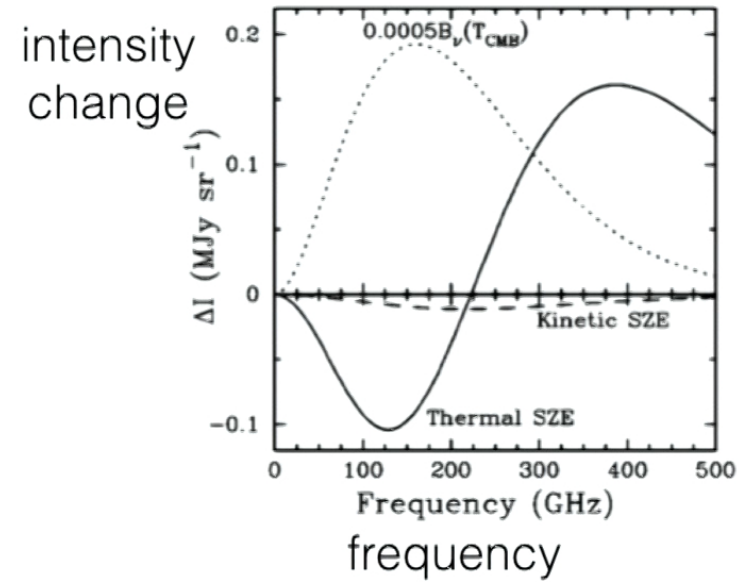
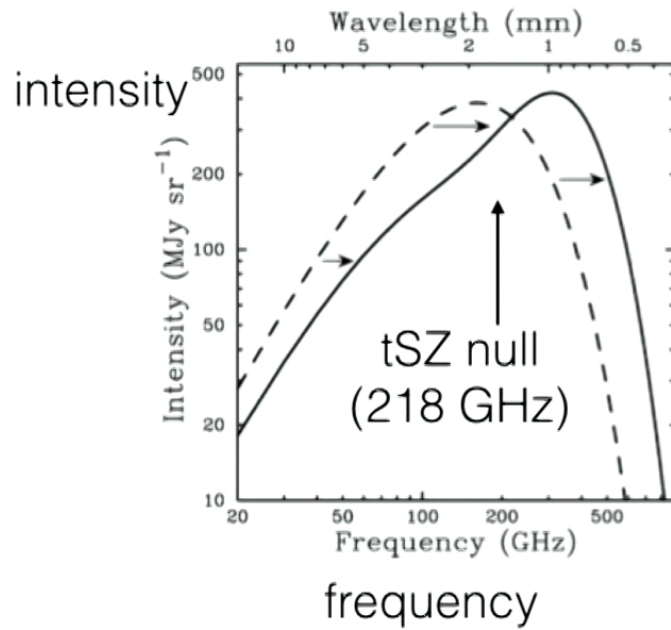
← tSZ spectral function
← electron pressure
← line-of-sight integral

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# Thermal SZ Effect

→ Integrated Electron Pressure

Unique spectral signature



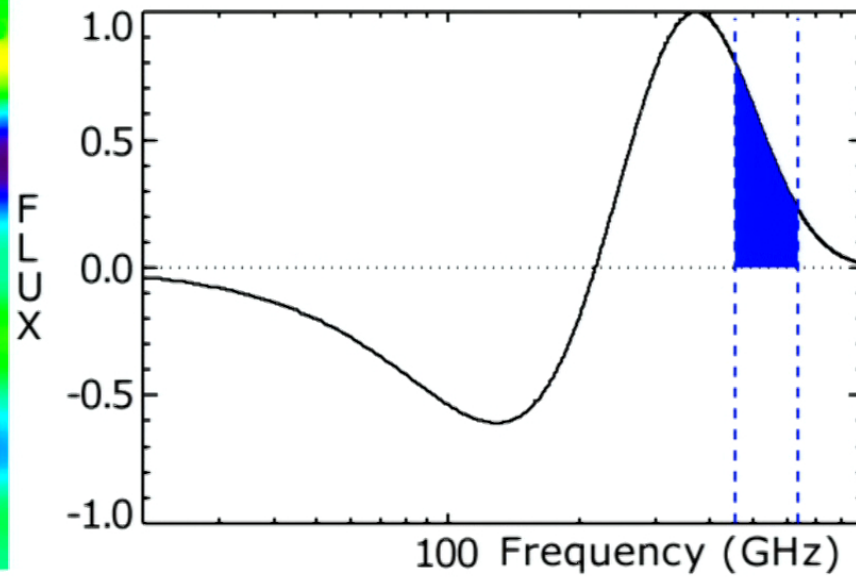
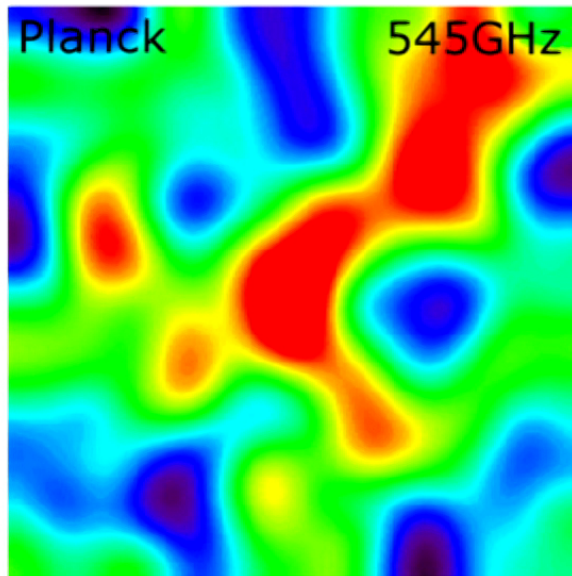
Figures: Carlstrom+ (2002)

# Thermal SZ Effect

→ Integrated Electron Pressure

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IAS/CCA

Unique spectral signature



simulation

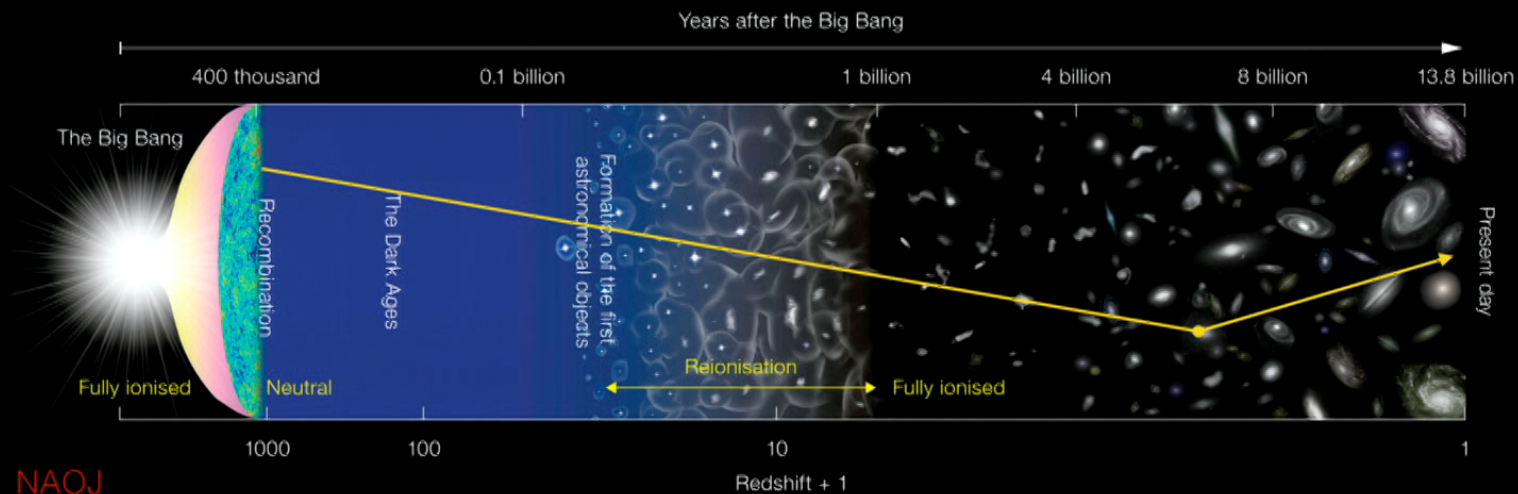
Credit: ESA/Planck Collaboration

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# Cosmic Microwave Backlight

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## Secondary Anisotropies



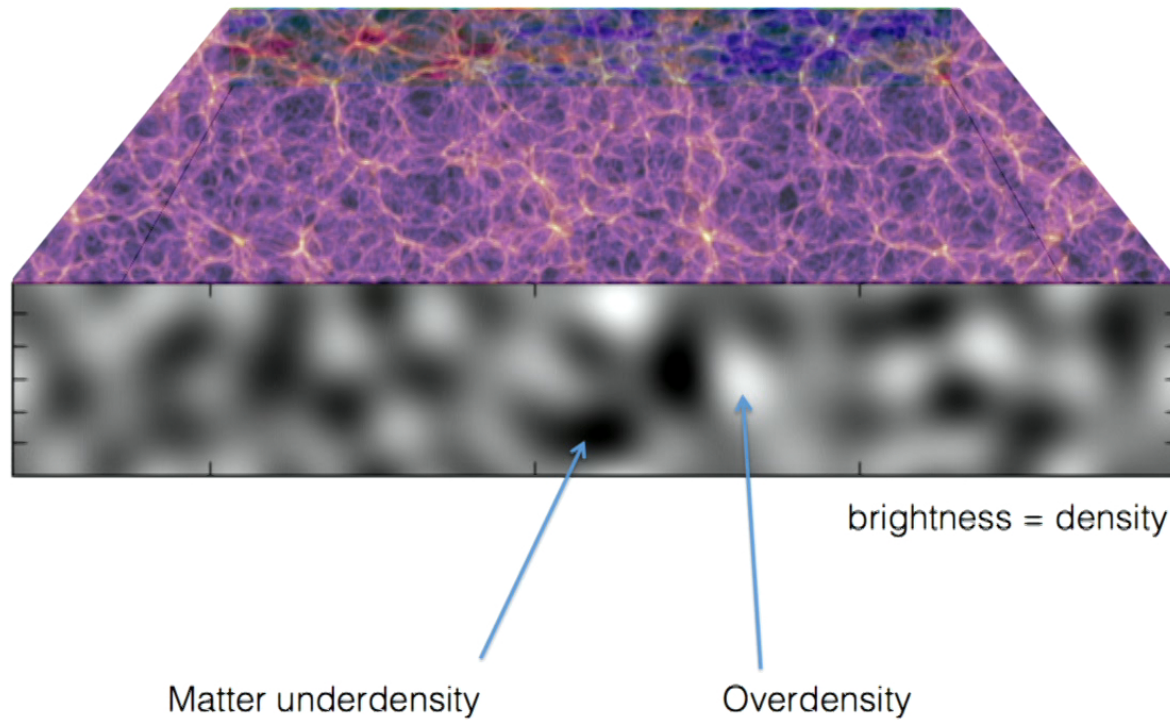
NAOJ

- Deflection: **gravitational lensing**
  - Scattering: **thermal** / kinematic Sunyaev-Zel'dovich effect
  - Evolving potentials: integrated Sachs-Wolfe, Rees-Sciama
- spectral reconstruction      quadratic reconstruction<sup>26</sup>      cross-correlation analysis

# CMB Lensing

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This has been measured!



ACT: Das, Sherwin+ (2011): first detection

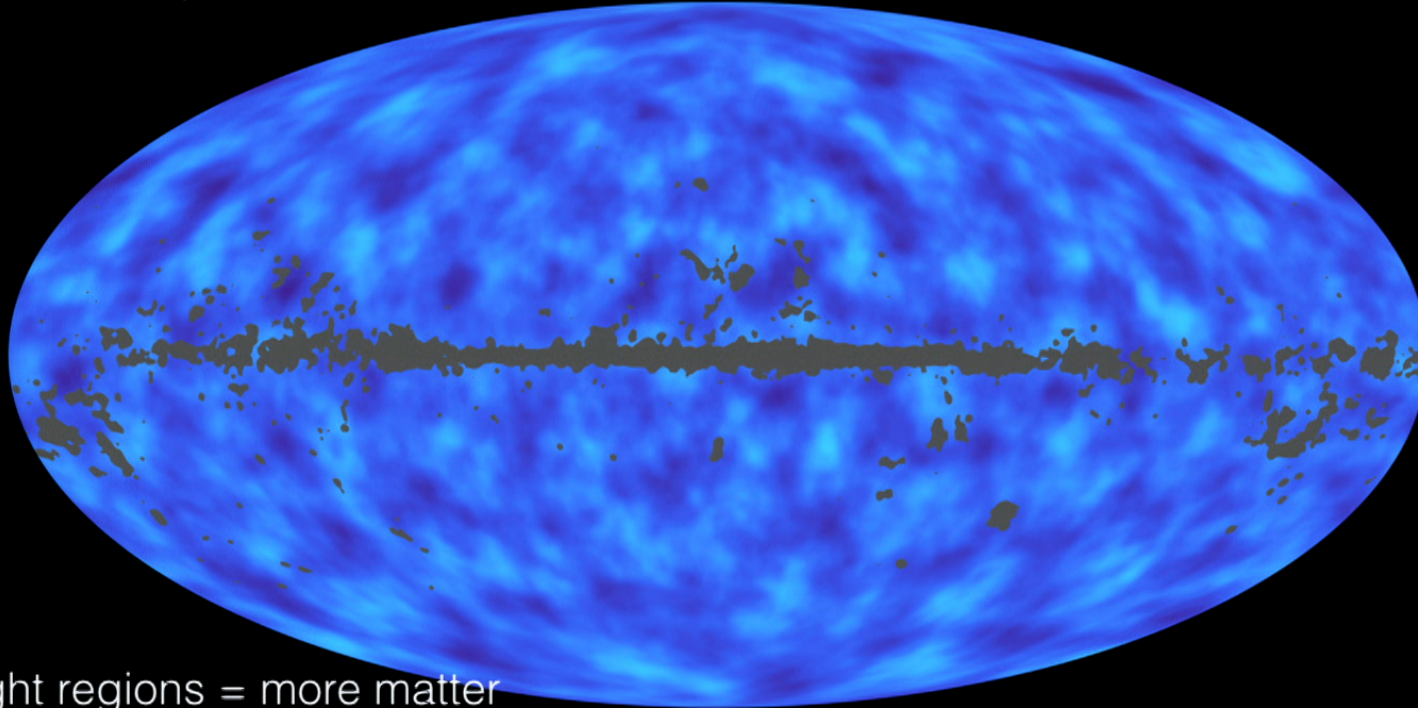
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# CMB Lensing

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IAS/CCA

This has been measured!

A map of matter (dark + luminous) in the entire universe\*



light regions = more matter  
dark regions = less matter

\*(almost)

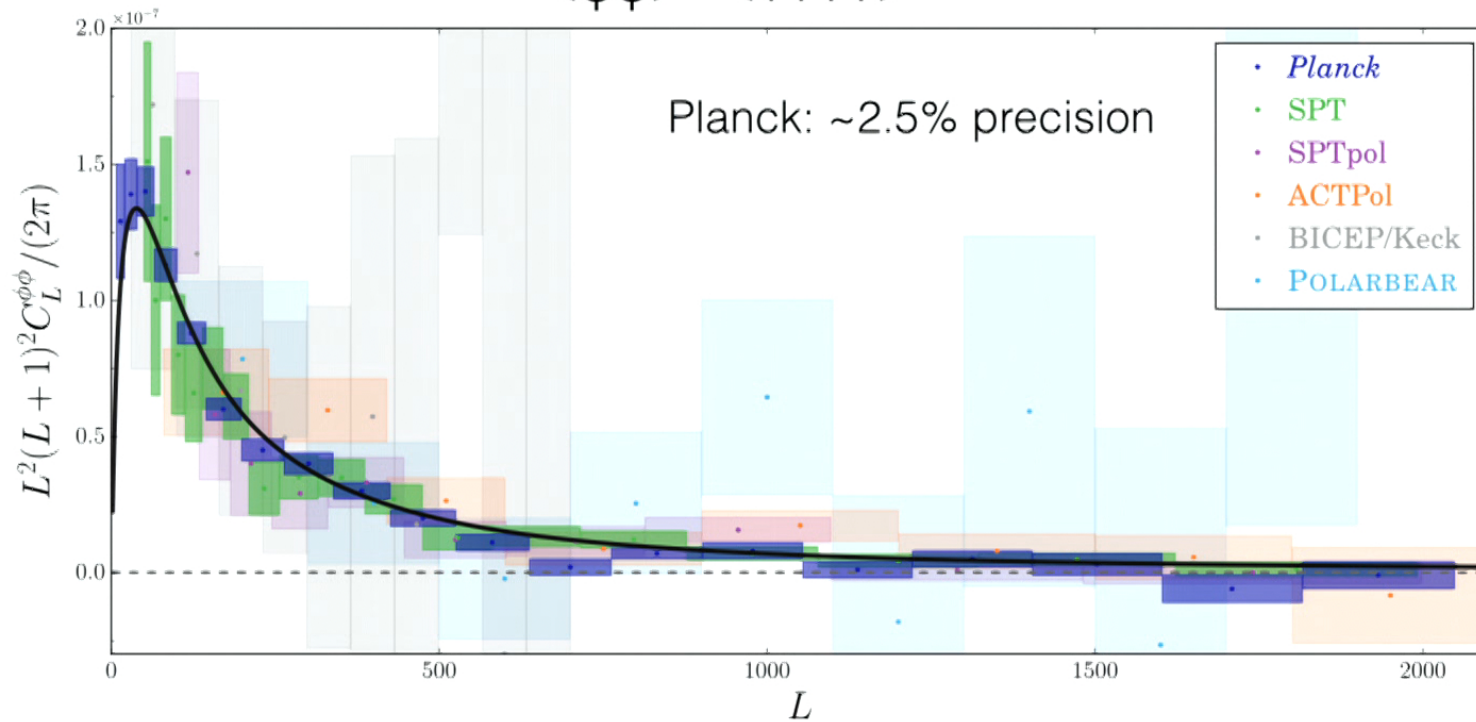
Planck Collaboration (2016)

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# CMB Lensing Power Spectrum

Current status of the field

$$\langle \phi\phi \rangle \sim \langle TTTT \rangle$$



compilation by A. van Engelen

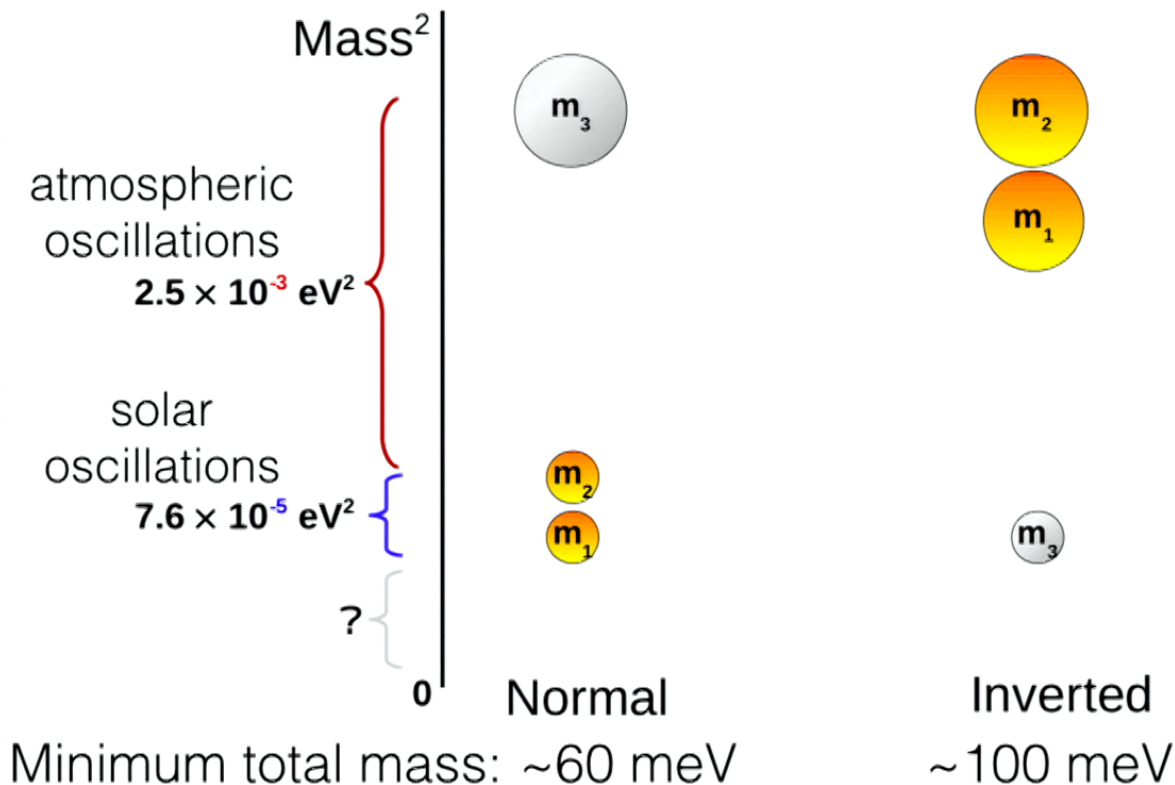
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# Neutrino Mass Hierarchy

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Fundamental physics from CMB lensing

What new physics is responsible for neutrino masses?



Credit: Hyper-Kamiokande

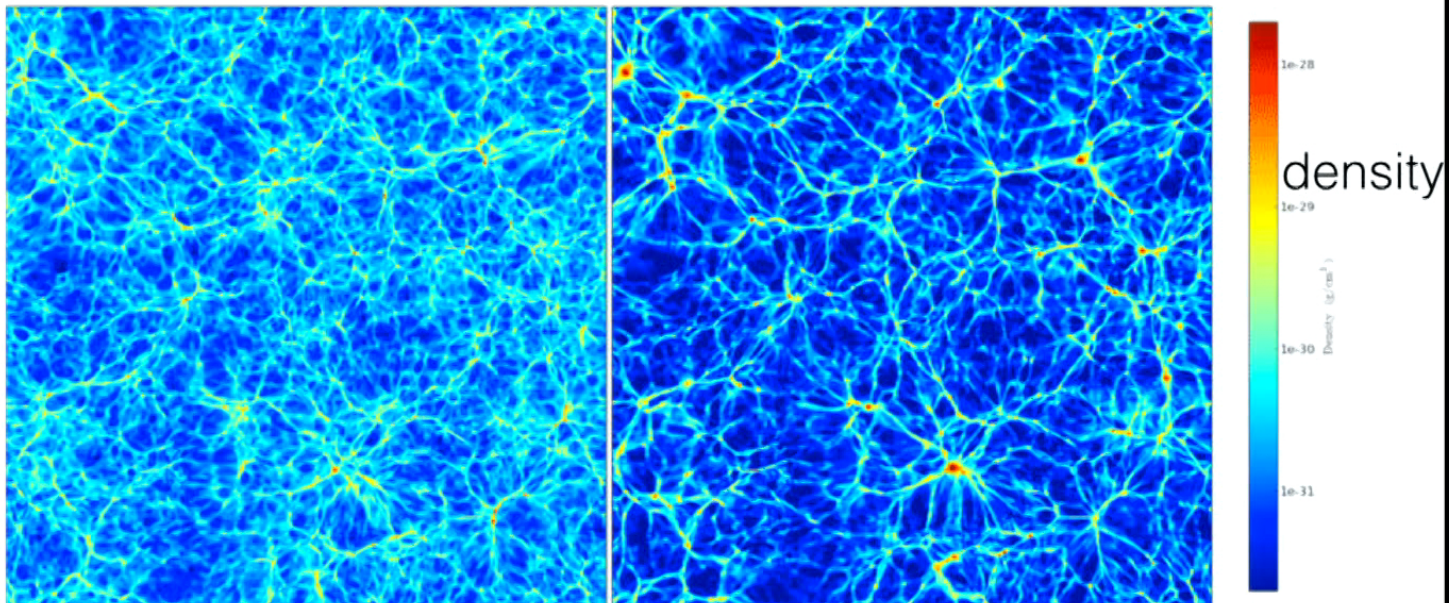
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# Neutrinos in Cosmology

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IAS/CCA

Massive neutrinos affect how cosmic structure grows: fast-moving neutrinos do not cluster!



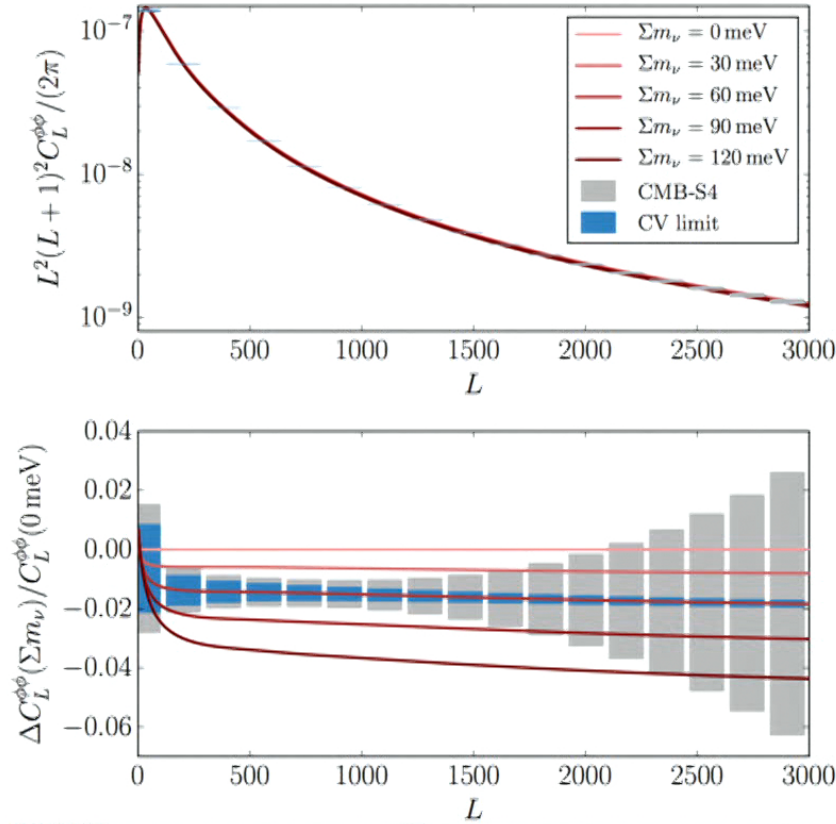
with massive neutrinos

without massive neutrinos

Agarwal & Feldman (2011)

# Neutrino Masses from CMB Lensing

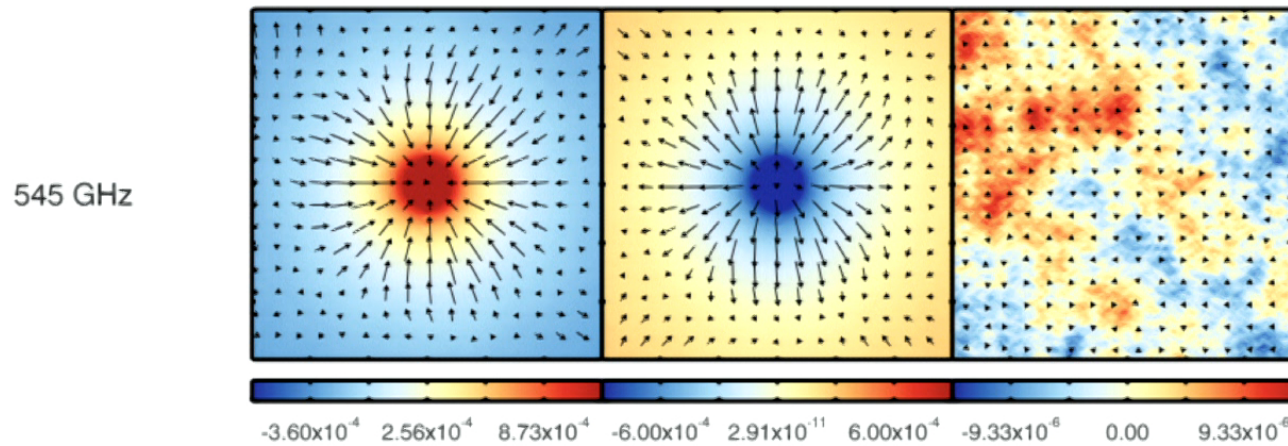
Massive neutrinos suppress the lensing power spectrum



upcoming  
experiments  
will be  
sensitive  
to minimum  
allowed  
mass from  
oscillation  
experiments

# Cosmic Infrared Background

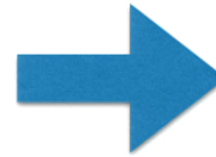
cumulative emission of dusty, star-forming galaxies over cosmic time  
strongly correlated with CMB lensing



arrows = lensing deflection  
color = CIB intensity

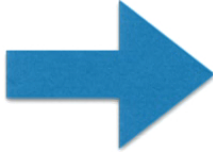
# Foreground Challenges


- Temperature lensing reconstruction
  - Cosmic infrared background
  - Thermal SZ
  - Kinematic SZ
  - Point sources



correlated w/  
lensing field!

# Foreground Challenges

- Temperature lensing reconstruction
  - Cosmic infrared background
  - Thermal SZ
  - Kinematic SZ
  - Point sources
  - Galactic dust
  - Other Galactic foregrounds

correlated w/  
lensing field!
- Polarization lensing reconstruction (dominates S/N for CMB-S4)
  - Polarized Galactic dust
  - Polarized Galactic synchrotron
  - Point sources

# CMB Lensing: Foregrounds

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quadratic estimator susceptible to biases from other non-Gaussian signals in the microwave sky (e.g., tSZ, dust, etc.)

$$\phi(\vec{\mathbf{L}}) \sim T(\vec{\ell})T(\vec{\mathbf{L}} - \vec{\ell})$$

van Engelen+ (2014); Osborne+ (2014)

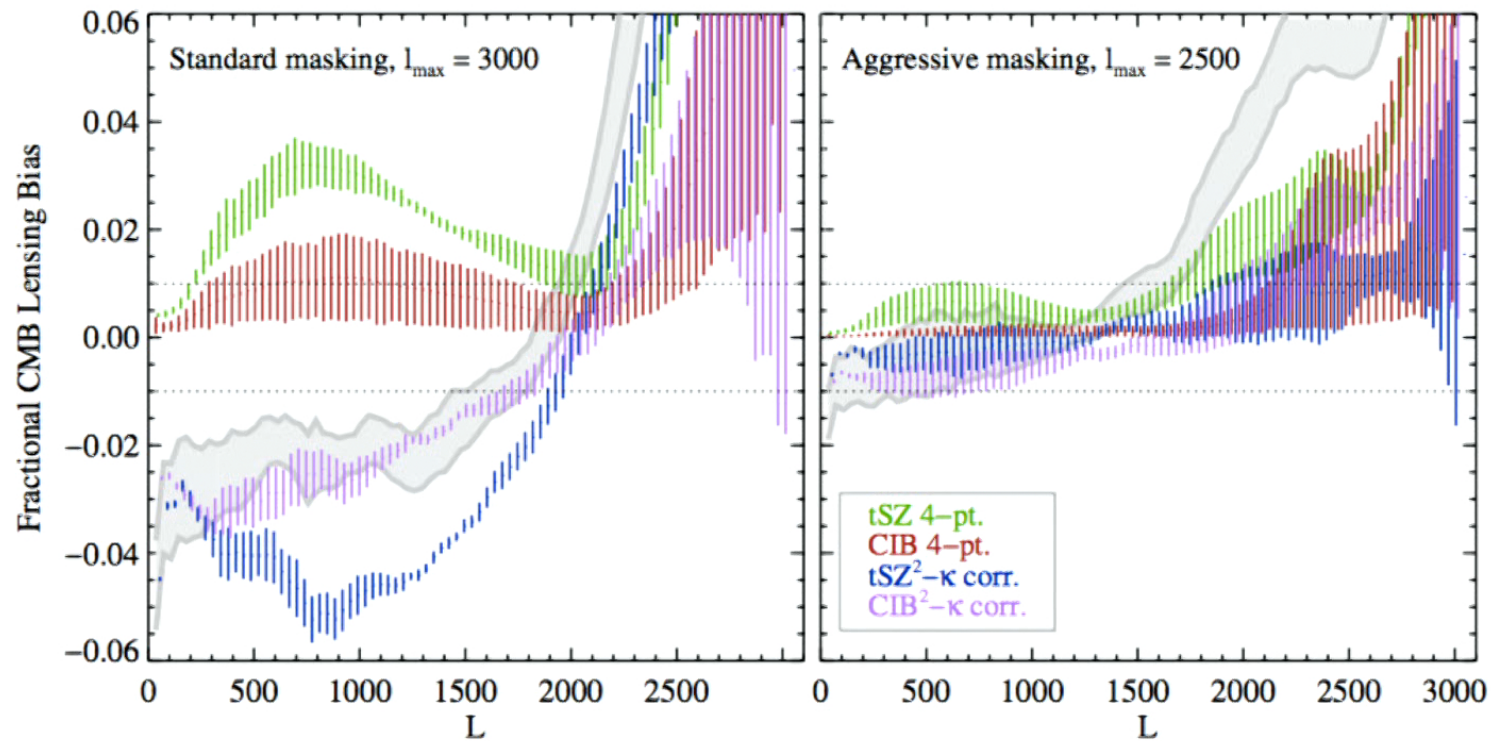
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IAS/CCA

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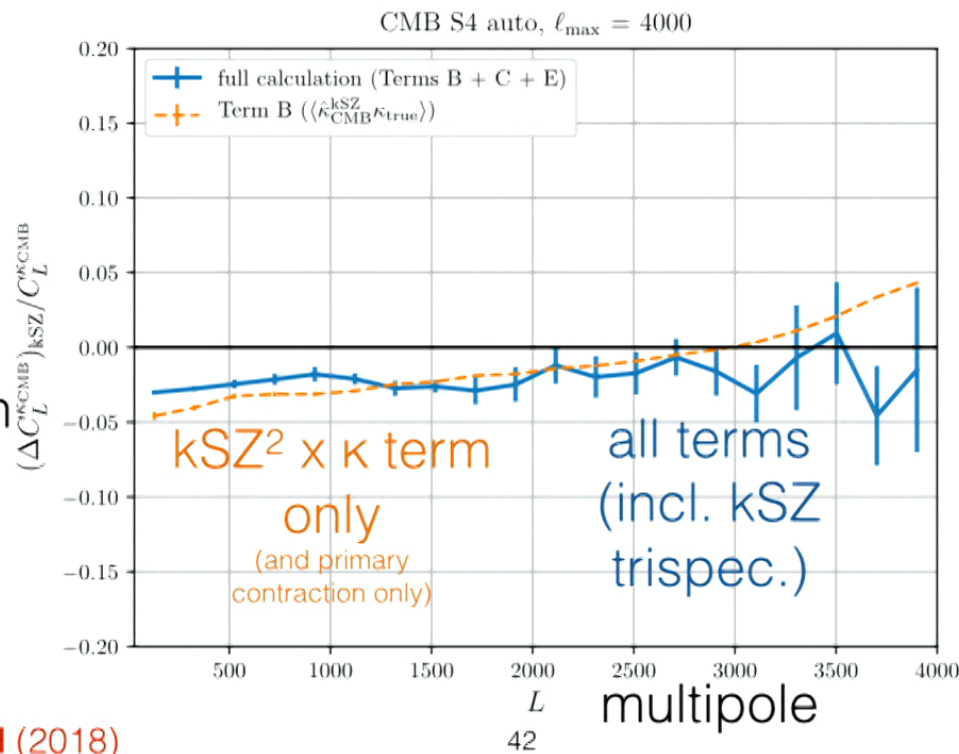
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# CMB Lensing: Foregrounds

in principle, all biases can be removed via multi-frequency component separation — **except kinematic SZ**

biases  **$\kappa$  auto-spectrum** and LSS cross-correlations

fractional bias to  $\kappa$  auto-correlation



would lead to non-negligible bias on neutrino mass

Ferraro & JCH (2018)

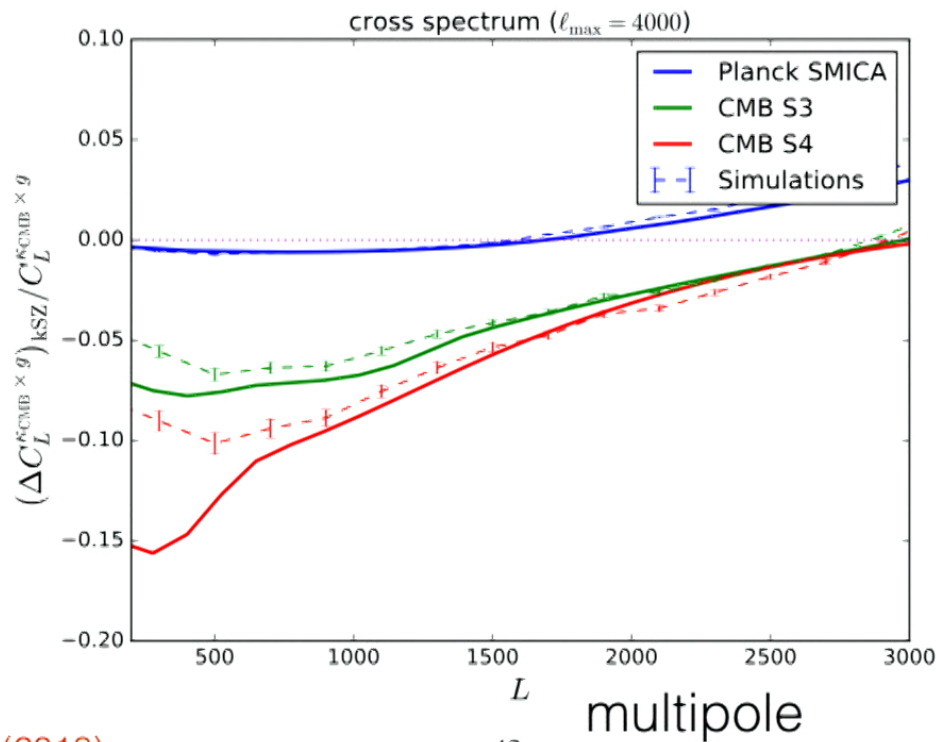


# CMB Lensing: Foregrounds

in principle, all biases can be removed via multi-frequency component separation — **except kinematic SZ**

biases  $\kappa$  auto-spectrum and **LSS cross-correlations**

fractional bias to  $\kappa$ -galaxy cross-correlation



would lead to non-negligible bias on neutrino mass

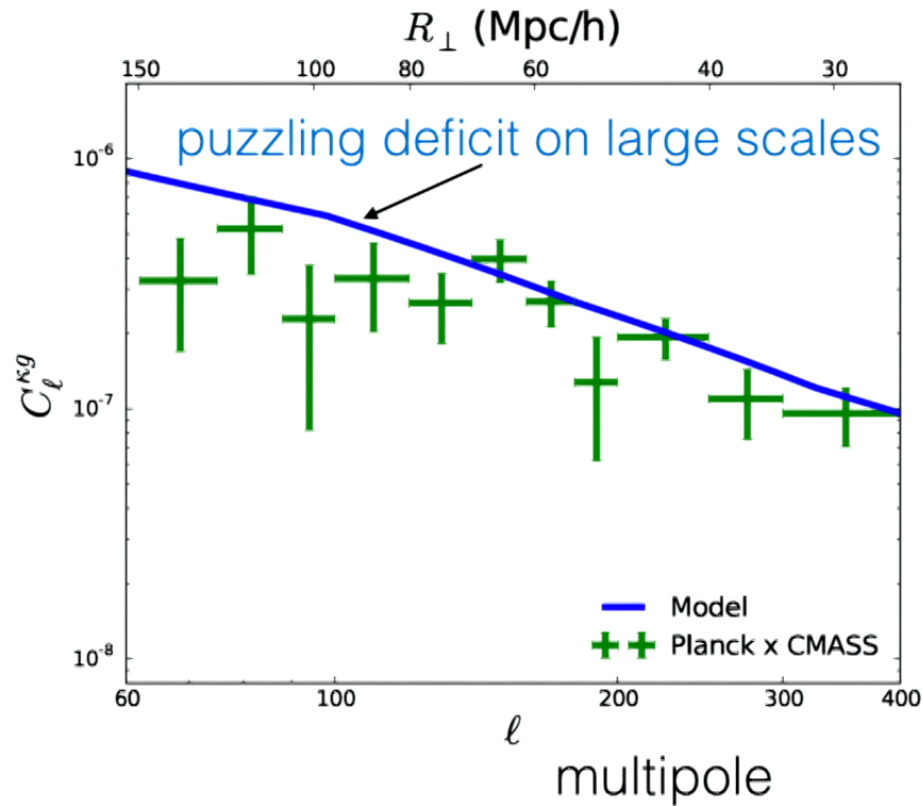
Ferraro & JCH (2018)

# CMB Lensing: Foregrounds

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perhaps already signs of such biases in current measurements?

Planck  
 $\kappa$  cross-  
correlation  
w/ BOSS  
CMASS  
galaxy  
catalog



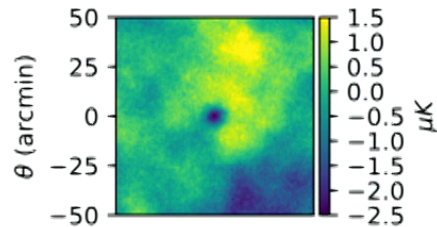
Pullen+ (2016); similar low-L deficit seen in WISE- $\kappa$  cross-correlation **JCH+** (2016)

# CMB Lensing: Foregrounds

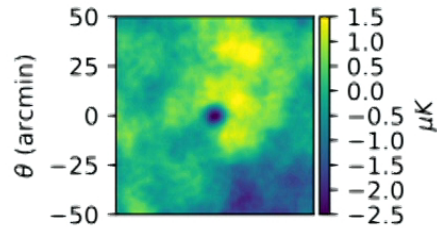
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N.B. SMICA map used in Planck lensing reconstruction has significant tSZ residuals

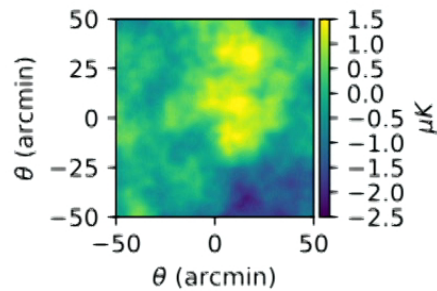
stack on  
SDSS DR8  
redMaPPer  
clusters



Planck 143 GHz



Planck SMICA CMB



LGMCA CMB  
(tSZ deprojected)

Madhavacheril & JCH (2018)

# Asymmetric Lensing Recon.

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## Observation 1:

$$\kappa^{XY}(\boldsymbol{\theta}) = -\mathcal{F}^{-1} \left\{ A^{XY}(\mathbf{L}) \mathcal{F} \left\{ \text{Re} \left[ \nabla \cdot \left[ \nabla X_f(\boldsymbol{\theta}) Y_f(\boldsymbol{\theta})^* \right] \right] \right\} \right\}$$

T gradient saturates by  $l \sim 2000$

Madhavacheril & JCH (2018)

# Asymmetric Lensing Recon.

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IAS/CCA

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T gradient saturates by ell~2000

## Observation 2:

$$\langle \tilde{\kappa}(\boldsymbol{\theta}) \rangle = \langle \nabla \cdot \left[ \left[ \nabla T^o(\boldsymbol{\theta}) \right]_f T_f^o(\boldsymbol{\theta}) \right] \rangle \quad (3)$$

$$= \langle \nabla \cdot \left[ \left[ \nabla T_f(\boldsymbol{\theta}) + \nabla F_f(\boldsymbol{\theta}) \right] \left[ T_f(\boldsymbol{\theta}) + F_f(\boldsymbol{\theta}) \right] \right] \rangle \quad (4)$$

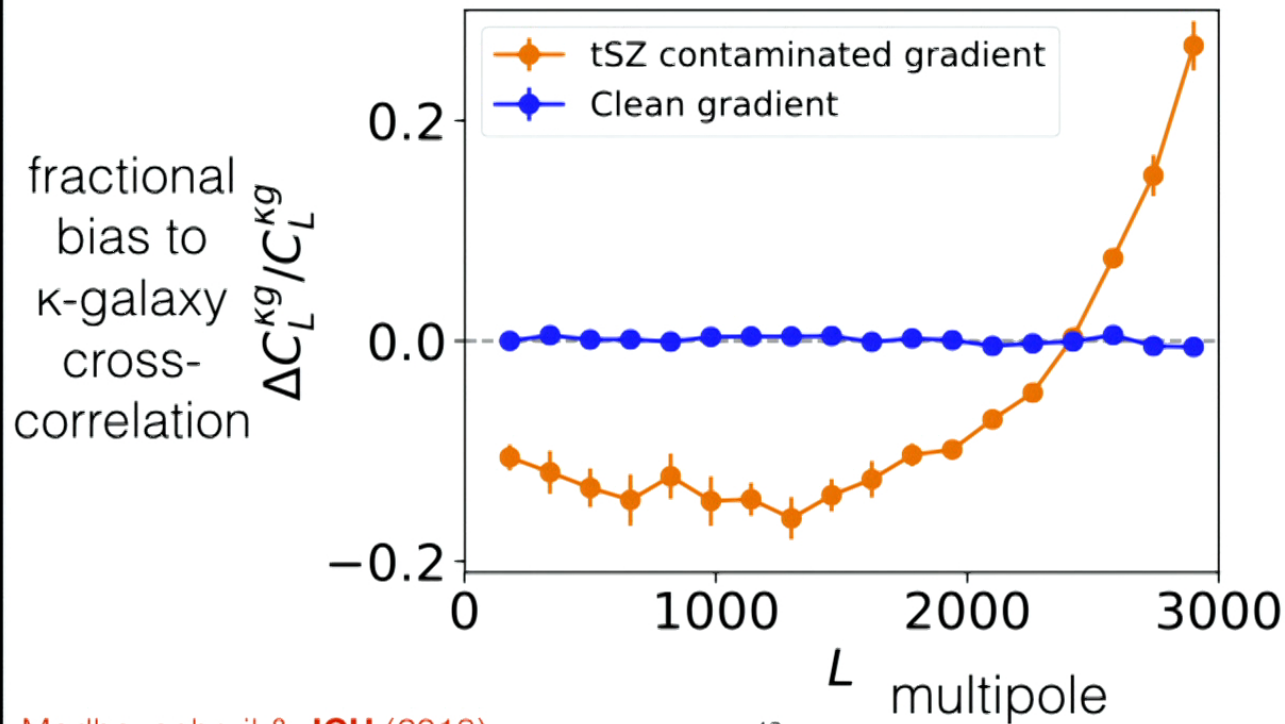
$$= \langle \nabla \cdot \left[ \left[ \nabla T_f(\boldsymbol{\theta}) \right] T_f(\boldsymbol{\theta}) \right] \rangle + \langle \nabla \cdot \left[ \left[ \nabla F_f(\boldsymbol{\theta}) \right] F_f(\boldsymbol{\theta}) \right] \rangle \quad (5)$$

Madhavacheril & JCH (2018) only need to clean one leg to remove bias

# Cause for Optimism

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foreground cleaning requirements may be less stringent than originally thought: we only need to foreground-clean one “leg” of the quadratic estimator (“asymmetric” lensing recon.)



Madhavacheril & JCH (2018)

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# CMB Lensing Outlook

## on the road to $M_\nu$

- tSZ and CIB biases can be mitigated with minimal loss in S/N ( $\sim < 10\%$ )
- The same trick appears to work for CMB lensing auto-power spectrum as well — need to verify with simulations
- Similar arguments expected to work in polarization
- To-do:
  - End-to-end tests of lensing reconstruction with full component separation in T (this has never been done! even by Planck...)
  - Continued analysis of polarized foreground biases in simulations + data (including end-to-end tests)
  - New methods for kSZ bias (in the era until we have  $\sim$ few  $\mu\text{K}$ -arcmin maps over large sky areas, i.e., the next 5-10 years)

————→ promising development: shear-only reconstruction

# CMB Lensing Outlook

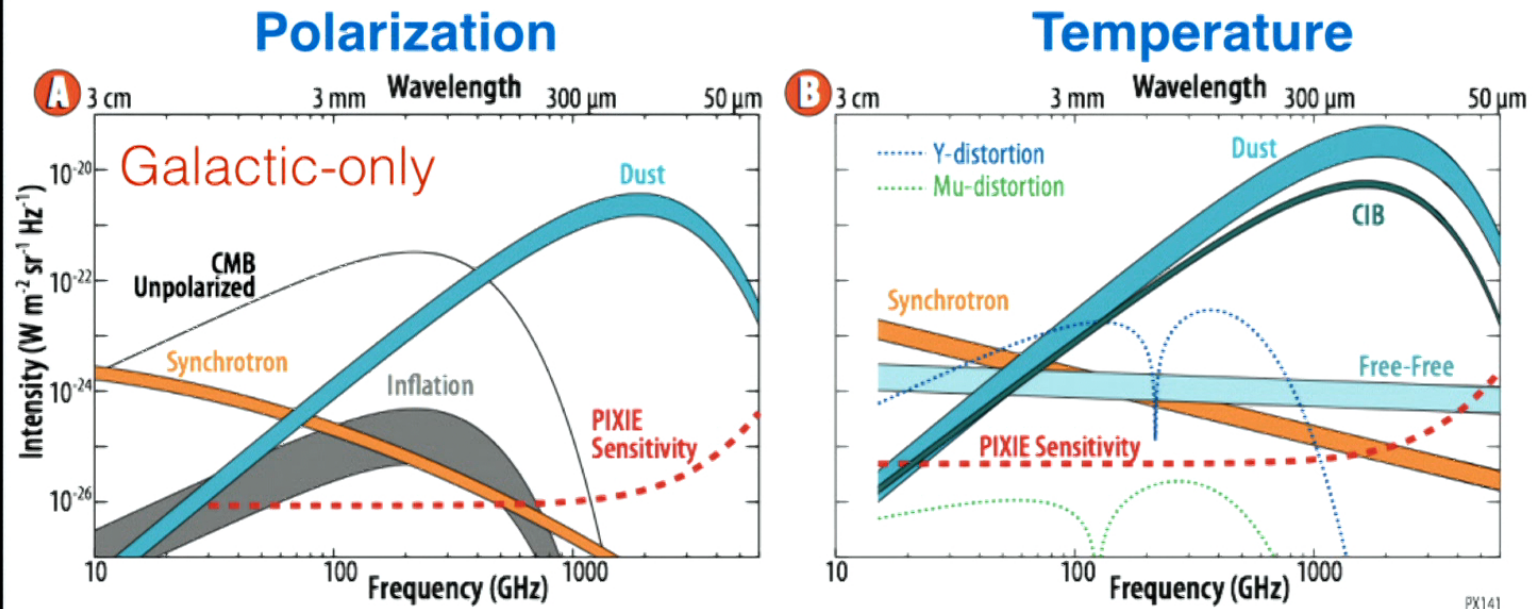
## on the road to $M_V$

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# Foregrounds



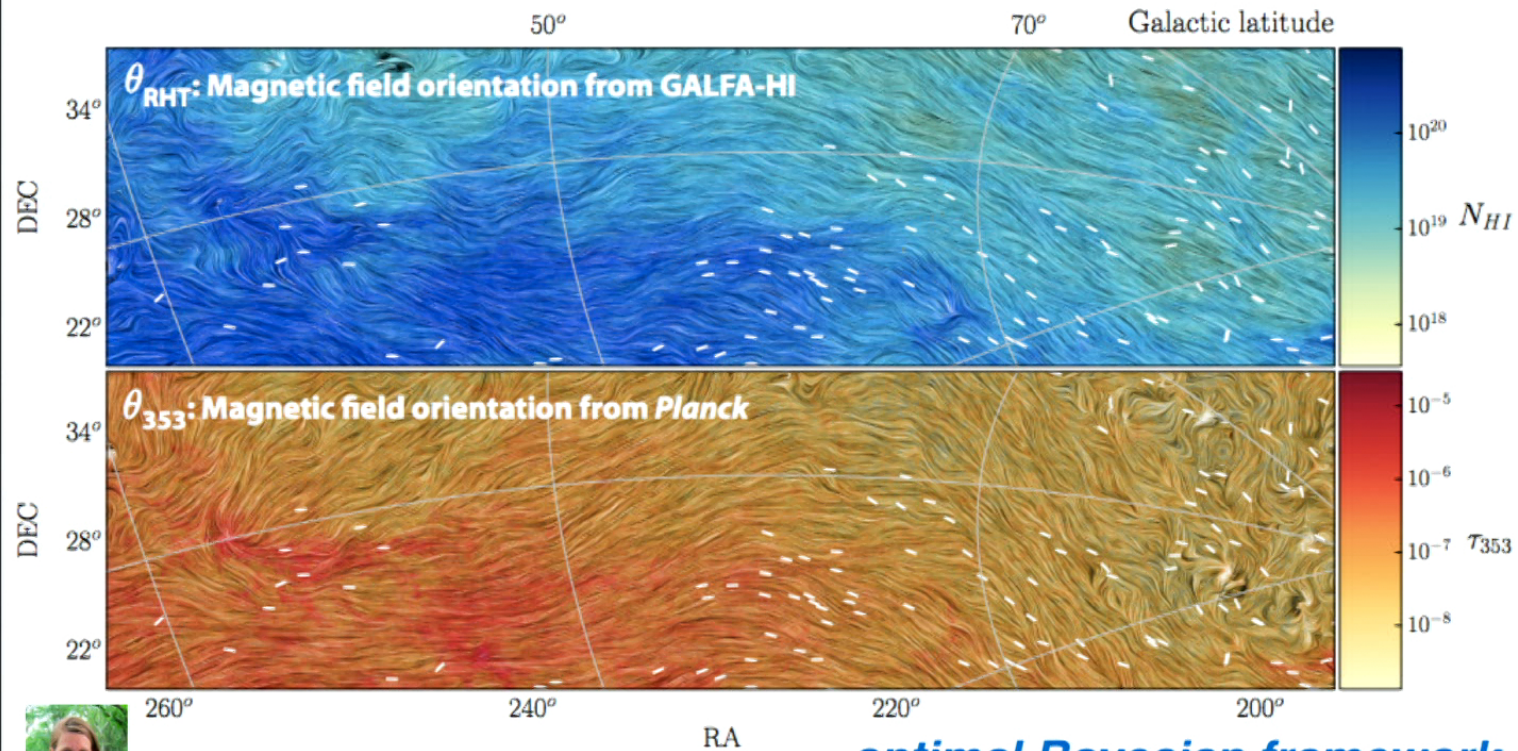
- Anomalous microwave emission
- CO line emission
- Radio sources
- Atmosphere

N.B. foregrounds can cross-talk w/ other systematics: e.g., CMB polarimeter self-calibration [Abitbol, JCH+ (2016)]

Kogut+ (2016)

# Future: Sweep Away the Dust

For example: by using other types of Galactic data (e.g., HI)



Clark, **JCH+** (PRL 2015)

*optimal Bayesian framework  
to combine these data sets  
currently in progress*

# Foreground Cleaning

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beam and line-of-sight averages are *inevitable*

→ superposition of spectral shapes, leading to new behavior

Chluba, **JCH**, and Abitbol (2017)

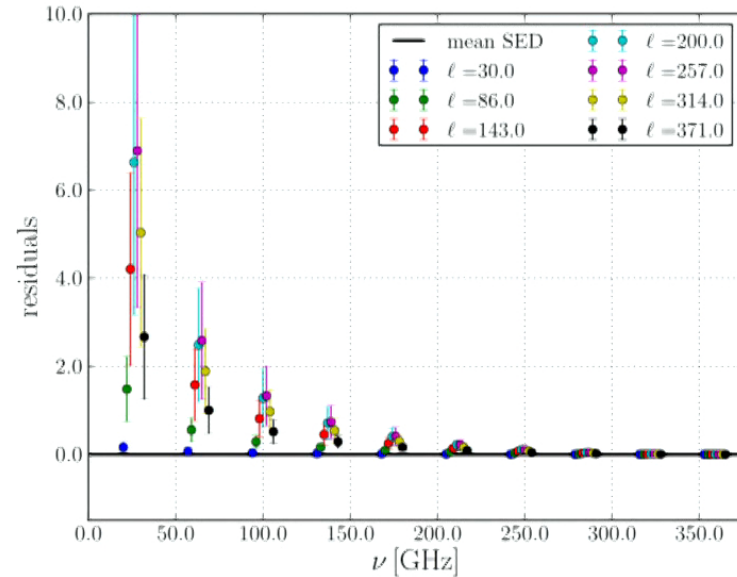
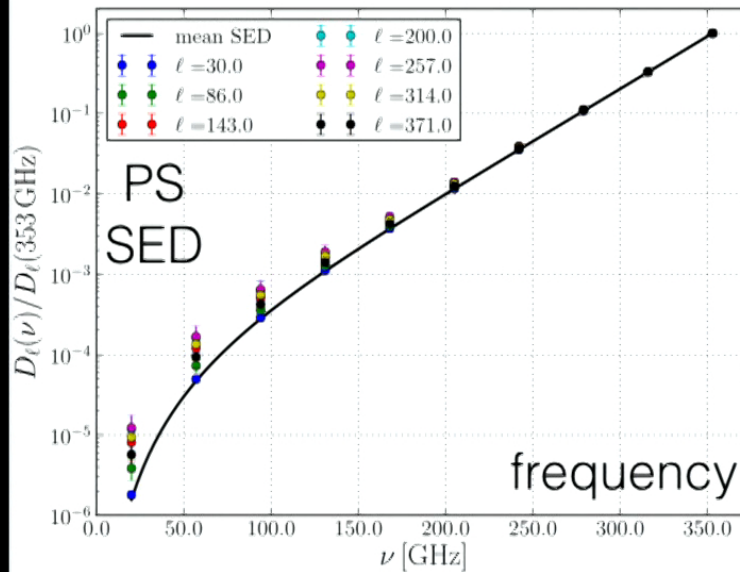
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# Why Not Go Fully Parametric? Colin Hill IAS/CCA

beam and line-of-sight averages are *inevitable*

→ superposition of spectral shapes, leading to new behavior

e.g.: suppose dust SED is a modified blackbody everywhere, but spectral index varies on degree scales:  $\alpha \sim N(1.6, 0.1)$



simple assumptions can lead to highly inaccurate results

Chluba, **JCH**, and Abitbol (2017)

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# Internal Linear Combination (ILC)

relatively agnostic approach, flexible choice of domain

$$\Delta T_i(p) = a_i y(p) + n_i(p) \quad i \leftrightarrow \text{frequency}$$

observed temperature fluctuation      component of interest      noise+contaminants

minimum variance estimator with unit response to desired component:

$$\hat{y}(p) = w_i \Delta T_i(p) \quad w_j = \frac{a_i (\hat{R}^{-1})_{ij}}{a_k (\hat{R}^{-1})_{kl} a_l}$$

$$\hat{R}_{ij} = N_{\text{pix}}^{-1} \sum_p \Delta T_i(p) \Delta T_j(p)$$

flexibility = choice of domain on which to compute covariance

e.g. Eriksen+ (2004)

# Constrained ILC

extension: explicitly remove (“deproject”) other component(s) as well

$$\Delta T_i(p) = a_i y(p) + b_i s(p) + n_i(p)$$

observed temperature  
fluctuation

component  
of interest

component  
to remove

noise + other  
contaminants

minimum variance estimator with unit response to desired component  
and zero response to undesired component:

$$w_j = \frac{\left( b_k (\hat{R}^{-1})_{kl} b_l \right) a_i (\hat{R}^{-1})_{ij} - \left( a_k (\hat{R}^{-1})_{kl} b_l \right) b_i (\hat{R}^{-1})_{ij}}{\left( a_k (\hat{R}^{-1})_{kl} a_l \right) \left( b_m (\hat{R}^{-1})_{mn} b_n \right) - \left( a_k (\hat{R}^{-1})_{kl} b_l \right)^2}$$

- can be extended to explicitly remove N components
- advantage: can remove contaminants that could bias some analysis
- disadvantage: variance in final ILC map is larger

e.g. Remazeilles+ (2011), **JCH** (to appear)

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# Hybrid Solution

“Multiply Constrained Monte Carlo ILC” = (MC)<sup>2</sup>ILC

idea: remove components via additional spectral constraint(s);  
marginalize over SED models to deal with spectral uncertainties

$$\Delta T_i(p) = a_i y(p) + b_i s(p) + c_i d(p) + n_i(p)$$

observed temperature fluctuation	component of interest	component to remove	component to remove	noise + other contaminants
-------------------------------------	--------------------------	------------------------	------------------------	-------------------------------

- instead of marginalizing, can further minimize variance by optimizing on dust SED model
- idea: use HI maps as a tracer of Galactic dust, and minimize cross-correlation of the cleaned CMB map with this
- another idea: minimize higher-order, non-Gaussian statistics such as  $\langle T_{353} B_{ILC} B_{ILC} \rangle$  (foregrounds are non-Gaussian, while CMB should be Gaussian) — may be more effective than  $\langle BB \rangle$

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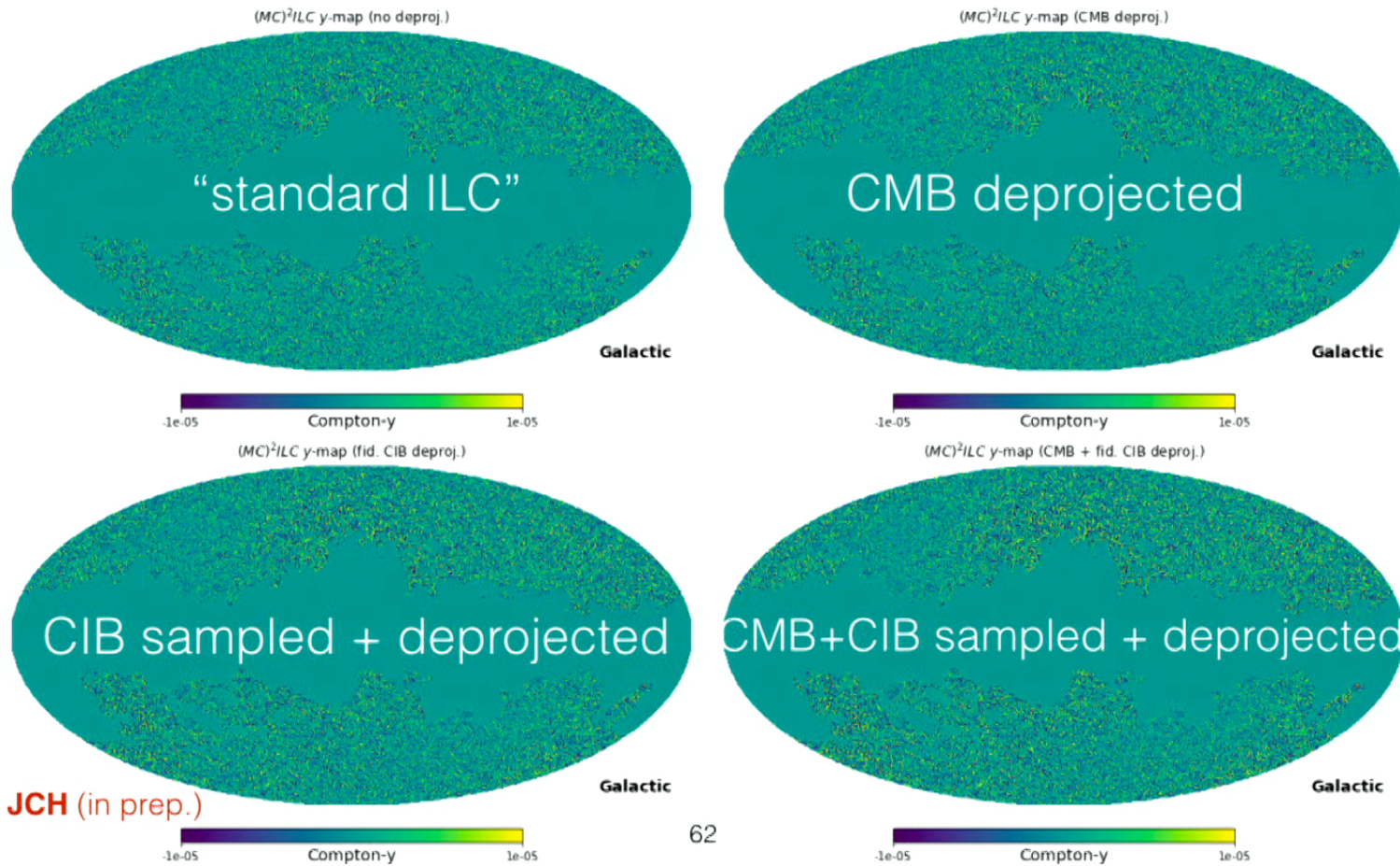
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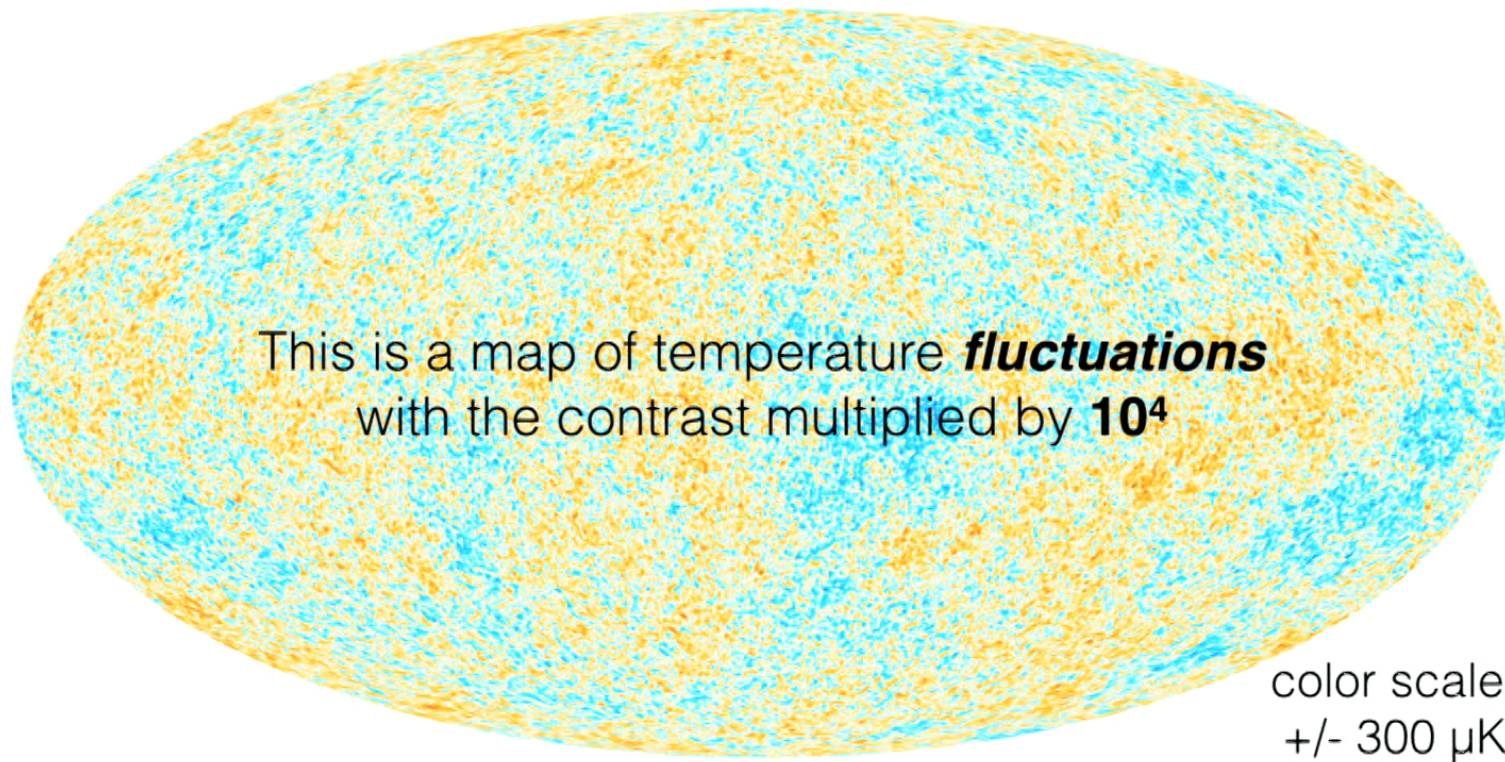


# A Quick Look

New tSZ map pipeline:  $(MC)^2ILC$  (here applied to Planck data)



# Cosmic Microwave Background



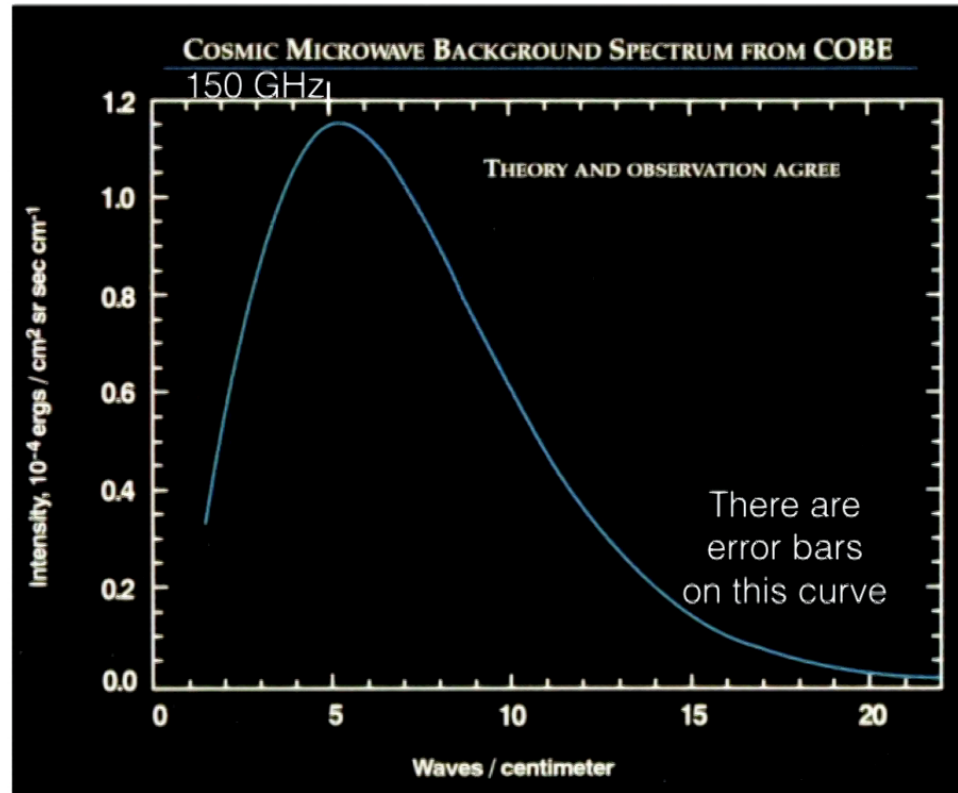
Planck Collaboration (2016)

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# COBE-FIRAS

CMB is blackbody to 50 ppm precision (most precise known in nature)

$$T_{\text{CMB}} = 2.726 \pm 0.001 \text{ K}$$



Nobel Prize  
in Physics  
(2006):  
J. Mather/  
G. Smoot

**Direct  
evidence  
of the  
hot Big  
Bang**

Fixsen+ (1996); Fixsen (2009)

66

# Is That All? No

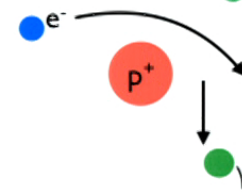
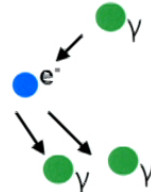
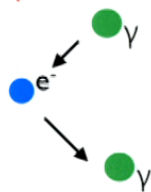
## CMB Spectral Distortions: not a perfect blackbody!

- At very early times ( $z \gg 10^6$ ), baryon-photon fluid is in full thermodynamic equilibrium:
  - Photons possess pure blackbody spectrum at all times
  - Fully characterized by  $T_{\text{CMB}} \sim 2.726 (1+z)$  K
- Perturb this equilibrium:
  - Energy injection
  - Entropy injection (production of energetic photons/particles)

→ Photon spectrum deviates from blackbody

Thermalization process partially (or fully) erases distortions

(Compton scattering, double Compton, and bremsstrahlung emission)



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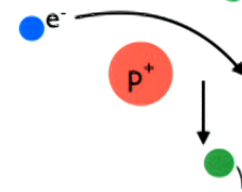
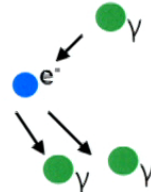
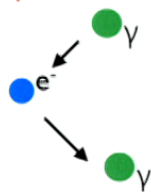
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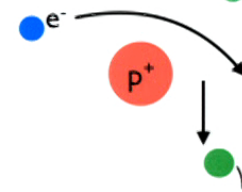
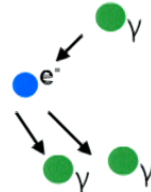
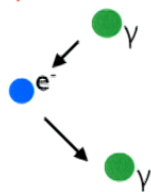
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# Theory of Spectral Distortions

What processes can inject (or remove) energy?

- Electron-positron annihilation ( $z \sim 10^8 - 10^9$ ): too early
- Adiabatically cooling ordinary matter
  - non-relativistic matter redshifts as  $T_e \sim (1+z)^2$
  - since  $T_{\text{CMB}} \sim (1+z)$ , electrons “Compton cool” CMB until  $z \sim 150$
  - due to large heat capacity of CMB, small effect:  $\mu \sim -2 \times 10^{-9}$
- Heating by decaying/annihilating particles + exotic sources

Sunyaev, Zel'dovich, Danese, de Zotti, Hu, Silk, 70 Chluba, Daly, many others

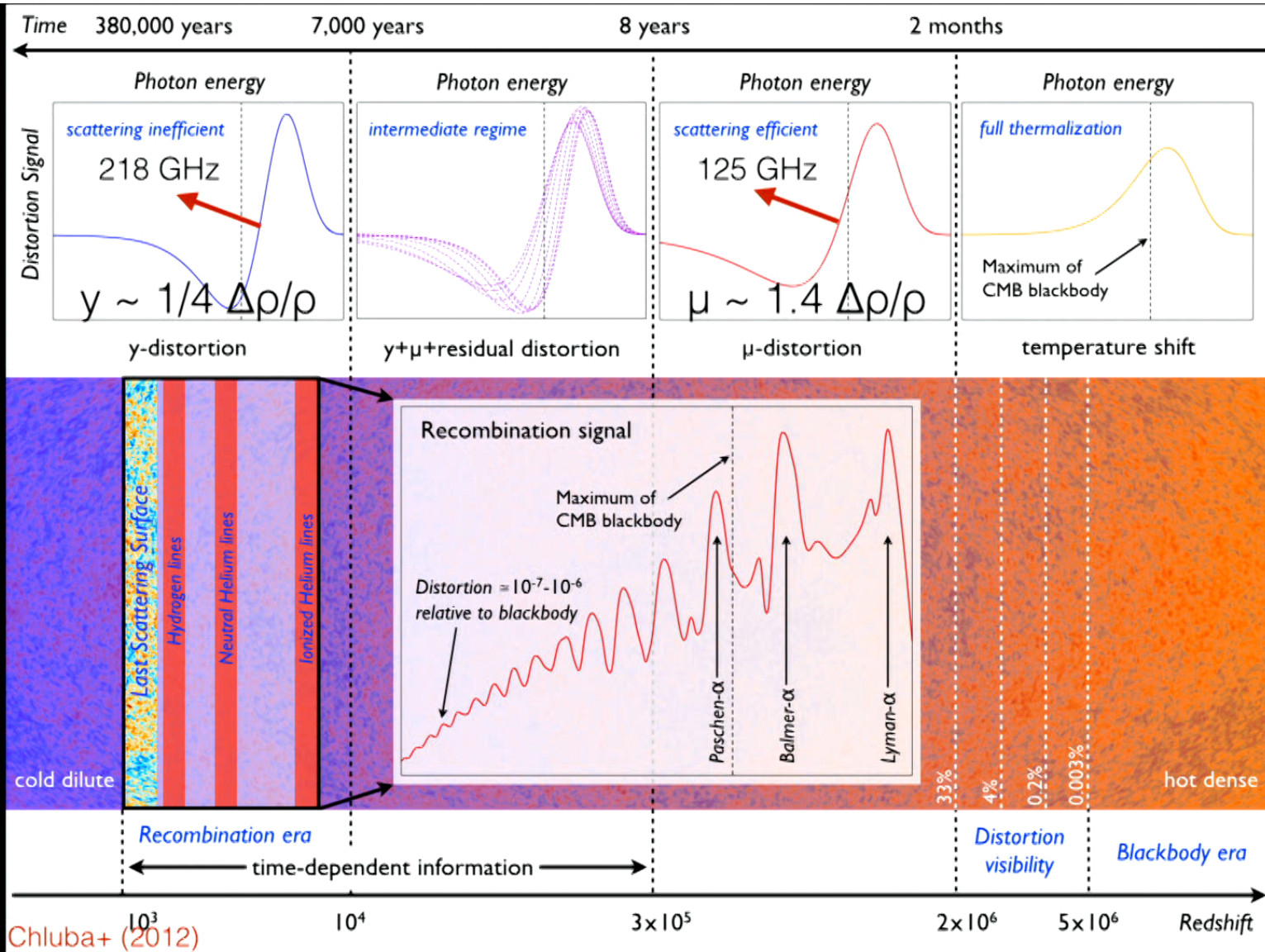
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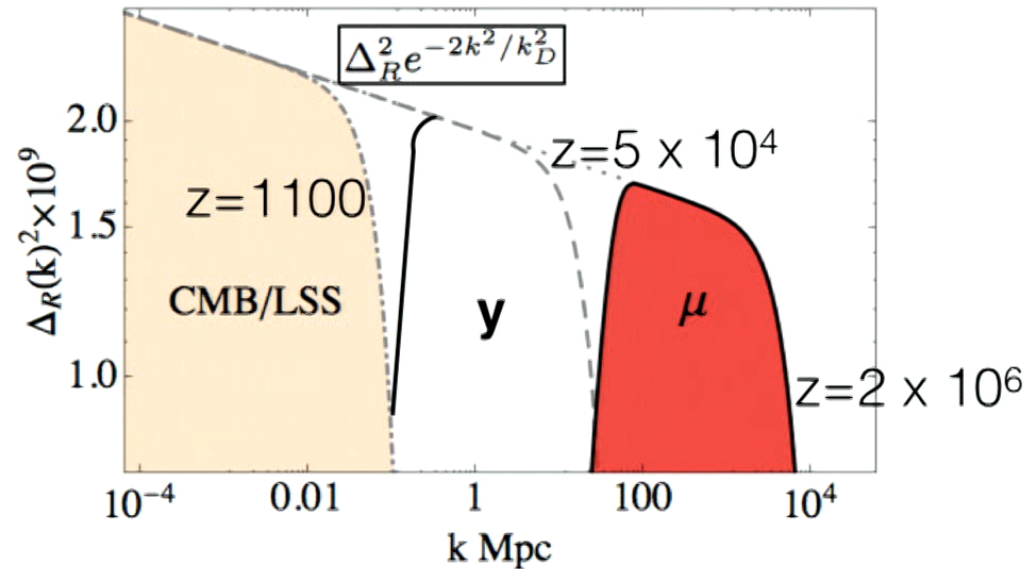
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# Dissipation of Small-Scale Modes



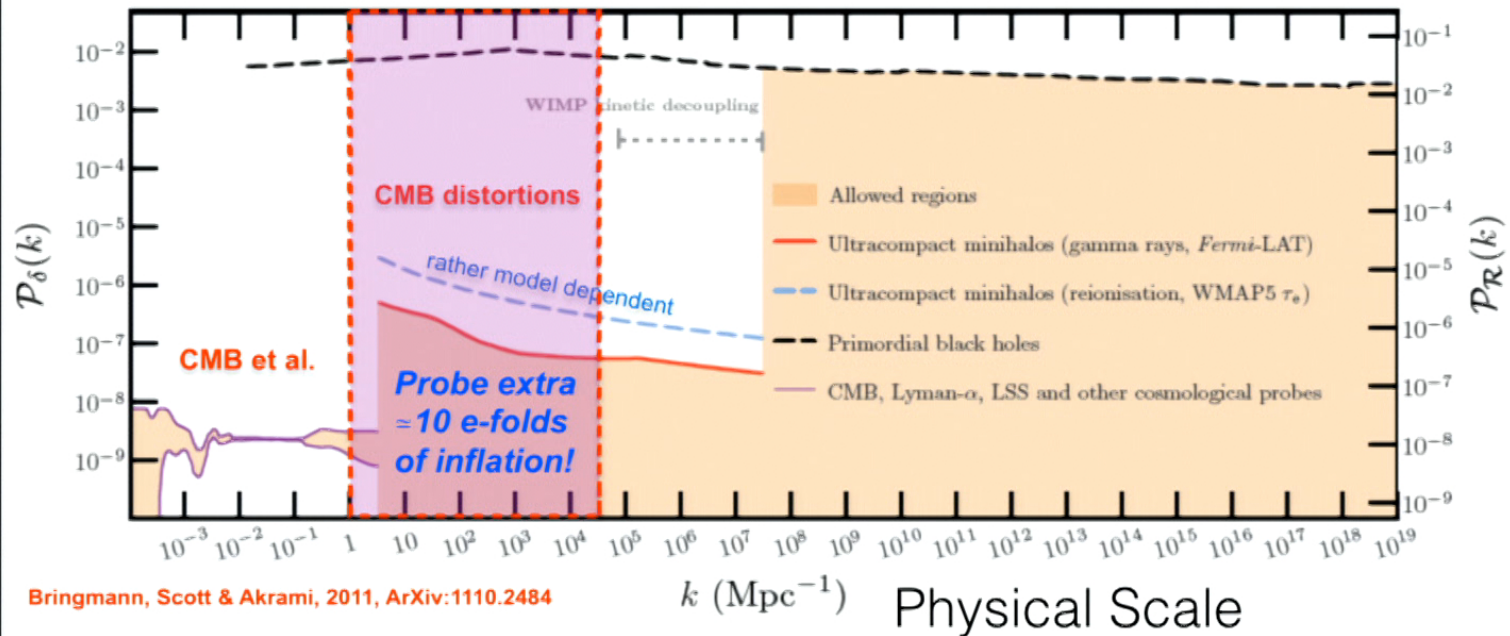
$$\langle \mu \rangle \approx \int d \log k \Delta_{\mathcal{R}}^2(k) W_{\mu}(k) \quad \langle y \rangle \approx \int d \log k \Delta_{\mathcal{R}}^2(k) W_y(k)$$

Probe of primordial power on extremely small scales  
( $50 h/\text{Mpc} < k < 10^4 h/\text{Mpc}$ )

Pajer & Zaldarriaga (2012); Chluba+ (2012)

# Dissipation of Small-Scale Modes

Colin Hill  
IAS/CCA



Increase from  $\sim 7$  to  $\sim 17$  in number of inflationary e-foldings probed by cosmologists  
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- Heating by decaying/annihilating particles + exotic sources
- Dissipation of small-scale primordial perturbations: **prediction of standard model (positive  $\mu$  and  $y$  distortions):  $\mu \sim 2 \times 10^{-8}$**
- Compton-scattering of CMB photons in galaxy groups and clusters, intergalactic medium, reionization: **prediction of standard model (positive  $y$  distortion):  $y \sim 1.8 \times 10^{-6}$  [JCH+ 2015 (PRL)]**

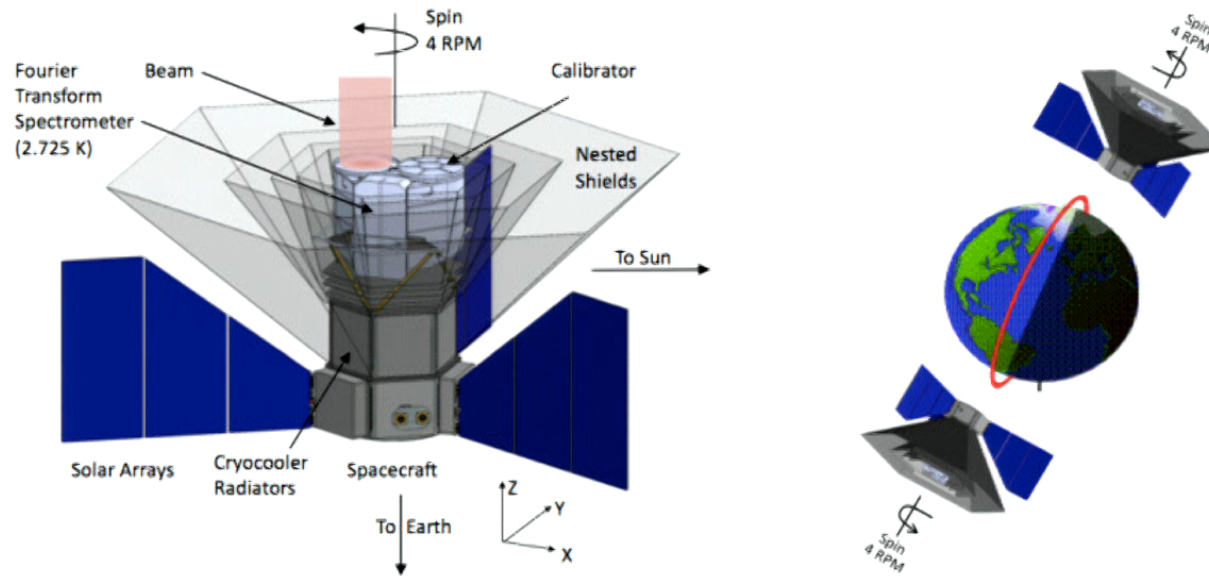
Sunyaev, Zel'dovich, Danese, de Zotti, Hu, Silk, <sup>74</sup> Chluba, Daly, many others

proposed to  
NASA Dec.  
2016

# PIXIE Concept

Colin Hill  
IAS/CCA

## Primordial Inflation Explorer



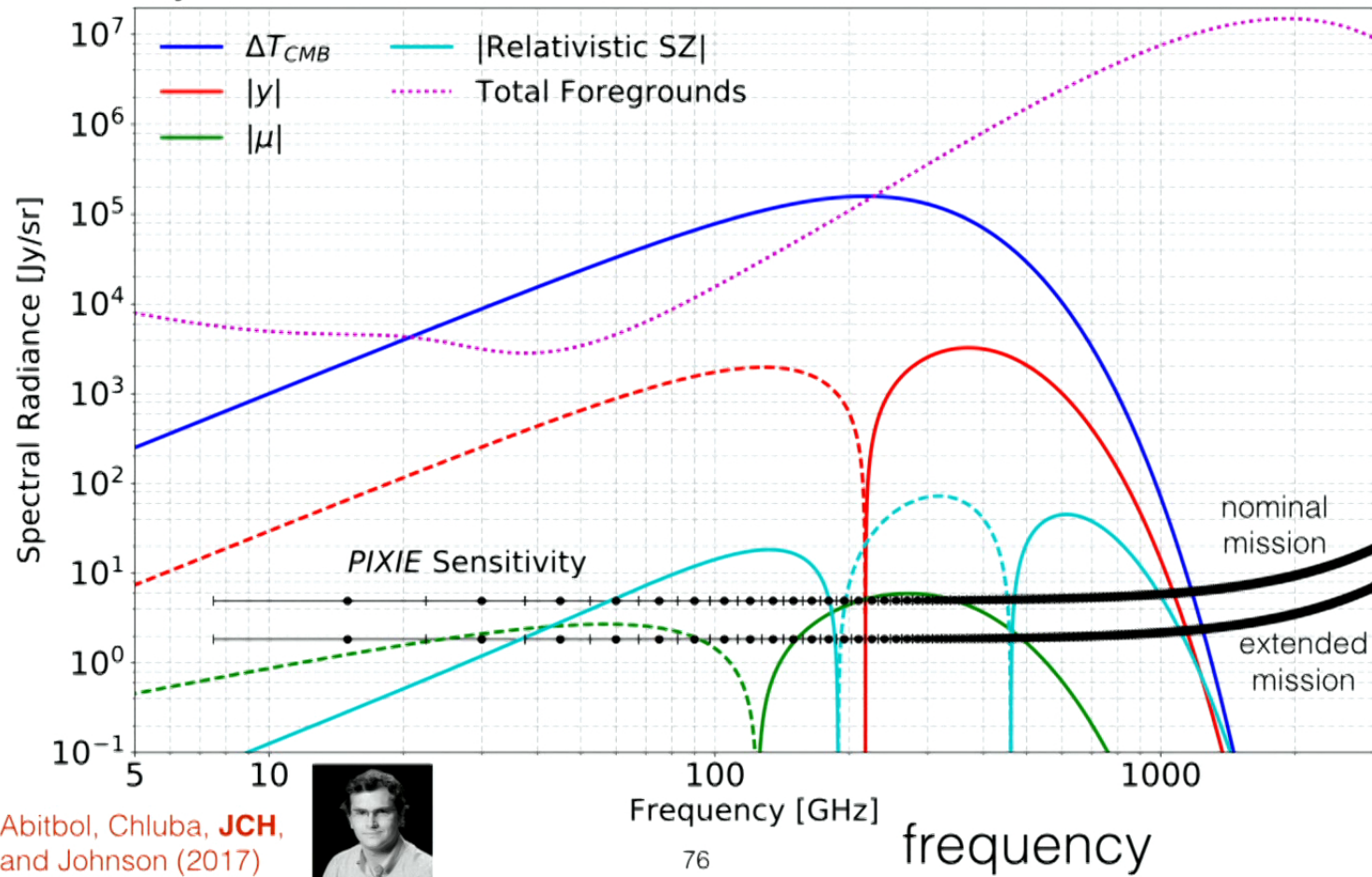
~3 order of magnitude improvement over COBE-FIRAS

Kogut+ (2011)

75

specific  
intensity

# PIXIE: signals



# PIXIE: forecasts

Colin Hill  
IAS/CCA

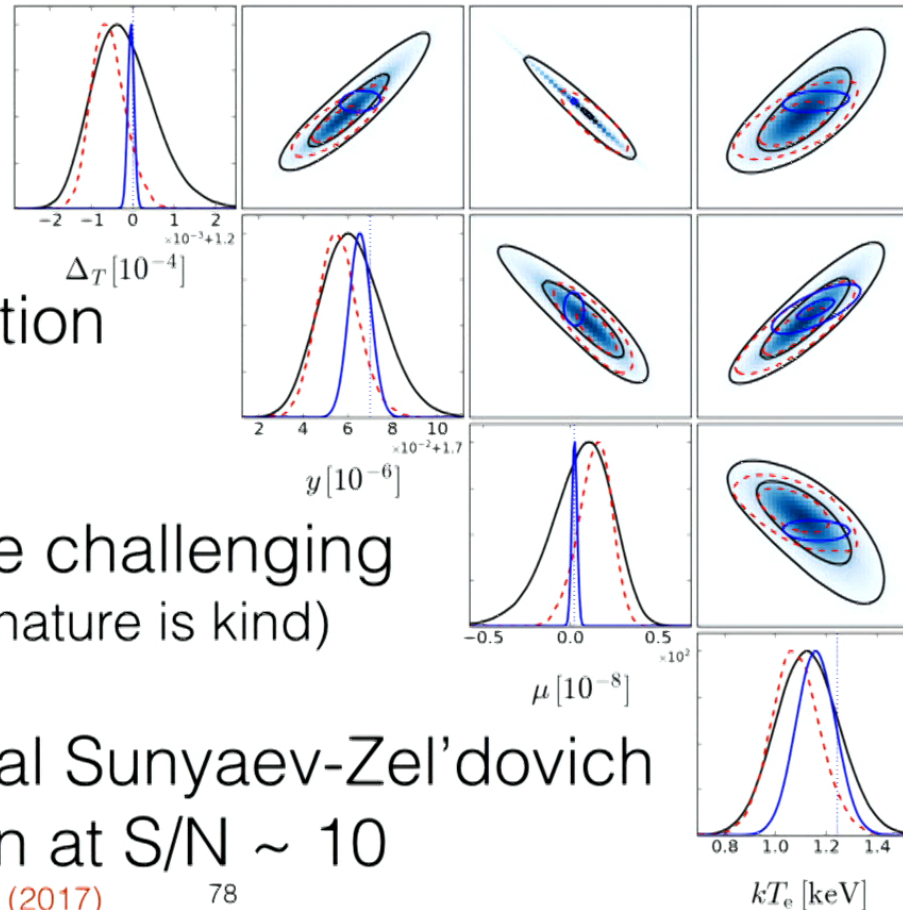
First spectral distortion forecast w/ all foregrounds included

$\sigma(T_{\text{CMB}}) \sim 100 \text{ nK}$   
(S/N  $\sim 1.3 \times 10^7$ )

Compton-y detection  
at S/N  $> 100$

$\mu$  detection will be challenging  
(S/N  $\sim 0.1$ , unless nature is kind)

Relativistic thermal Sunyaev-Zel'dovich  
detection at S/N  $\sim 10$



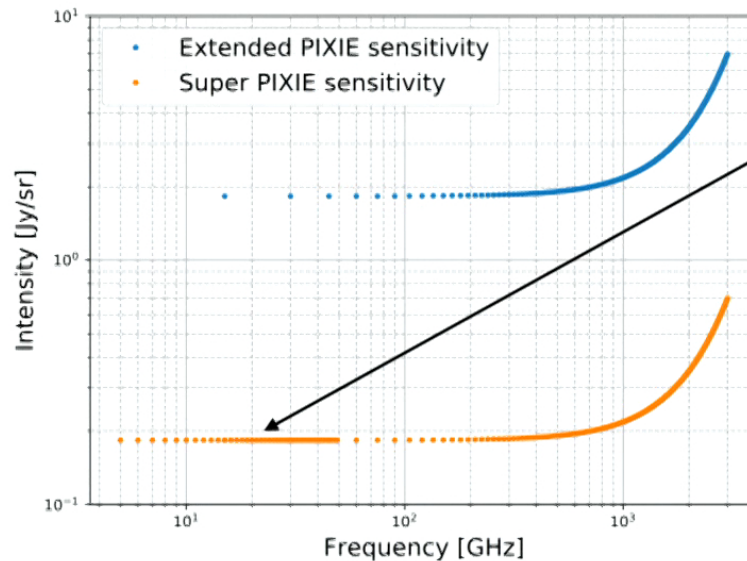
Abitbol, Chluba, **JCH**, and Johnson (2017)

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# Beyond PIXIE: A $\mu$ Hope

Colin Hill  
IAS/CCA

Can we modify the mission concept to get to  $\Lambda$ CDM Silk  $\mu$ ?



- Improve sensitivity 10x
- Add low-freq. spectrometer

*preliminary!*



**5 $\sigma$  detection of  $\mu$**

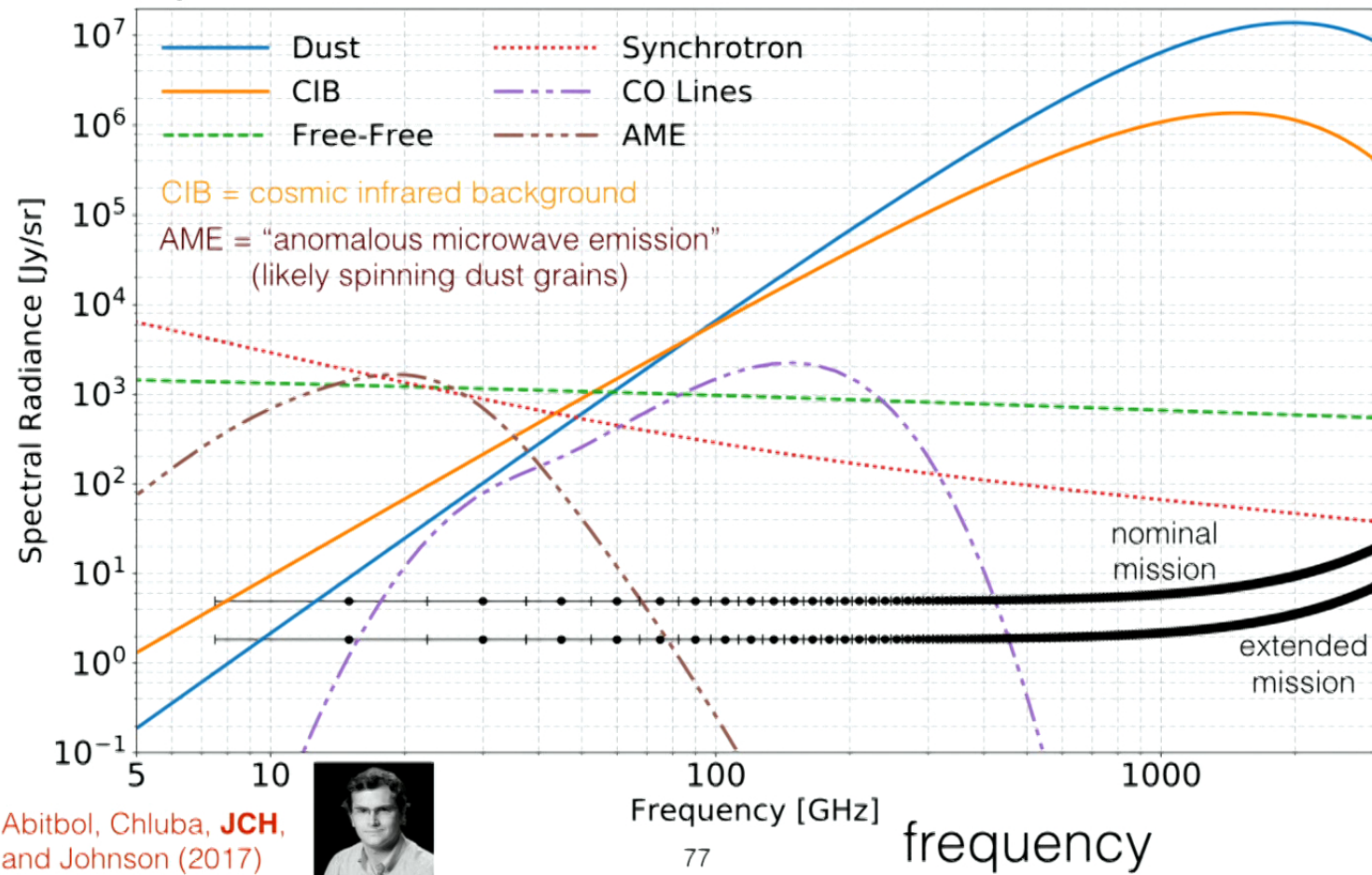
Can also get there w/ only 5x sensitivity improvement and different binning choice

Abitbol, **JCH**, + (in prep.)

79



# specific intensity *PIXIE*: foregrounds



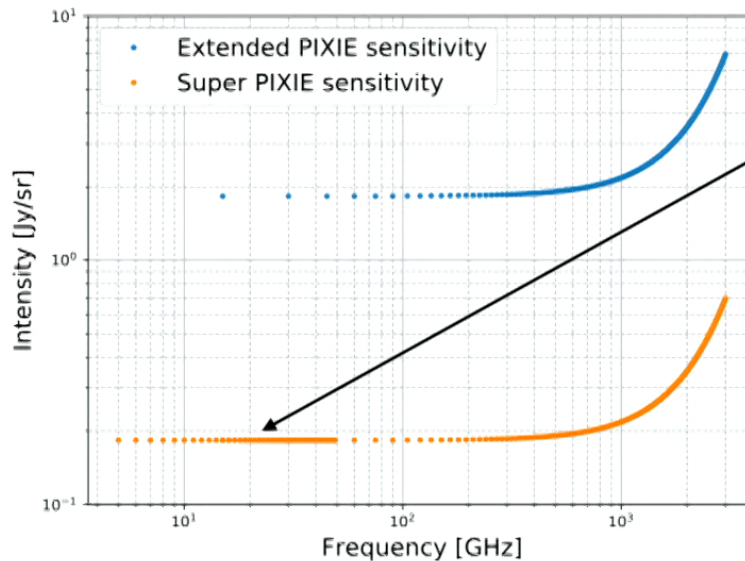
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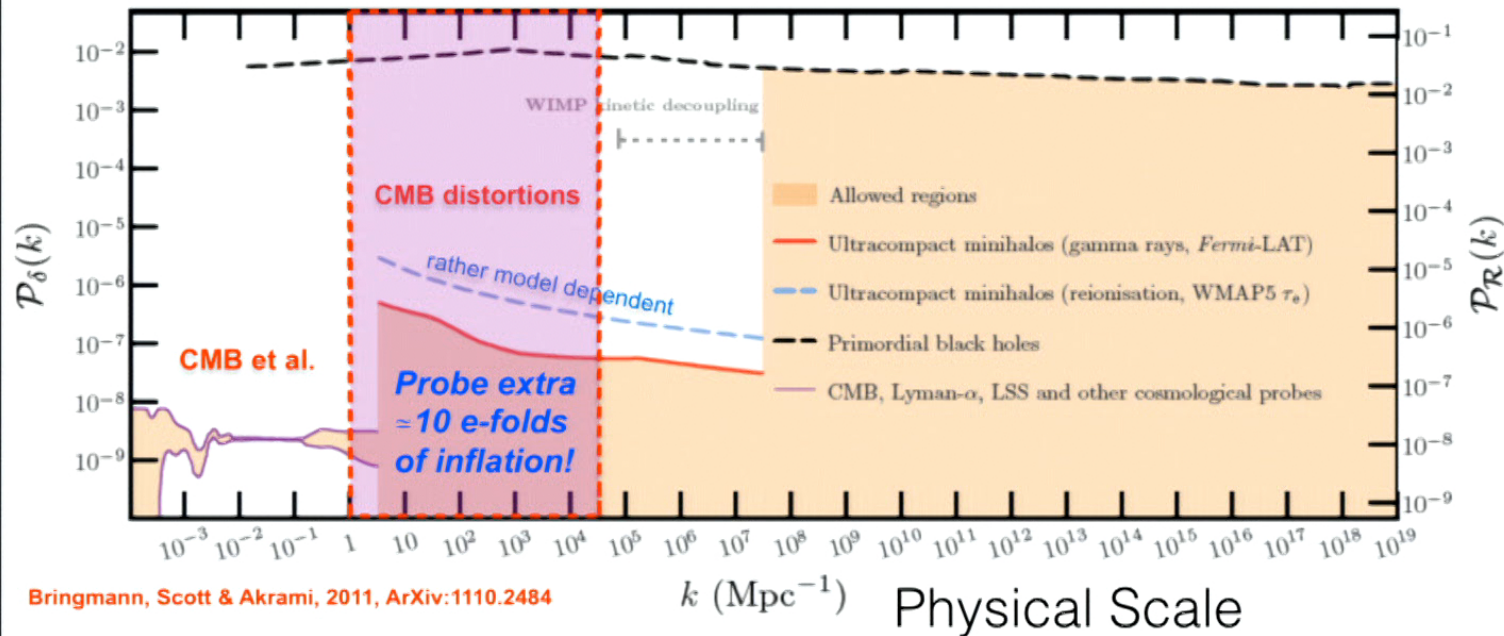
80

# Spectral Distortion Outlook

- The CMB blackbody spectrum is a key underpinning of the standard cosmological model.
- Measurements of CMB spectral distortions could open a new window into cosmological history, with implications for inflation/early-universe physics ( $\mu$ ) and **unprecedented constraints** on cosmic structure formation ( $y$ ).
- Experimental concepts based on existing technology can achieve many of these goals — **a factor of >1000 improvement over COBE-FIRAS!**
- Many other possible signals:
  - decaying or annihilating particles in the early universe
  - primordial magnetic fields
  - primordial black hole evaporation, cosmic strings, ...

# Dissipation of Small-Scale Modes

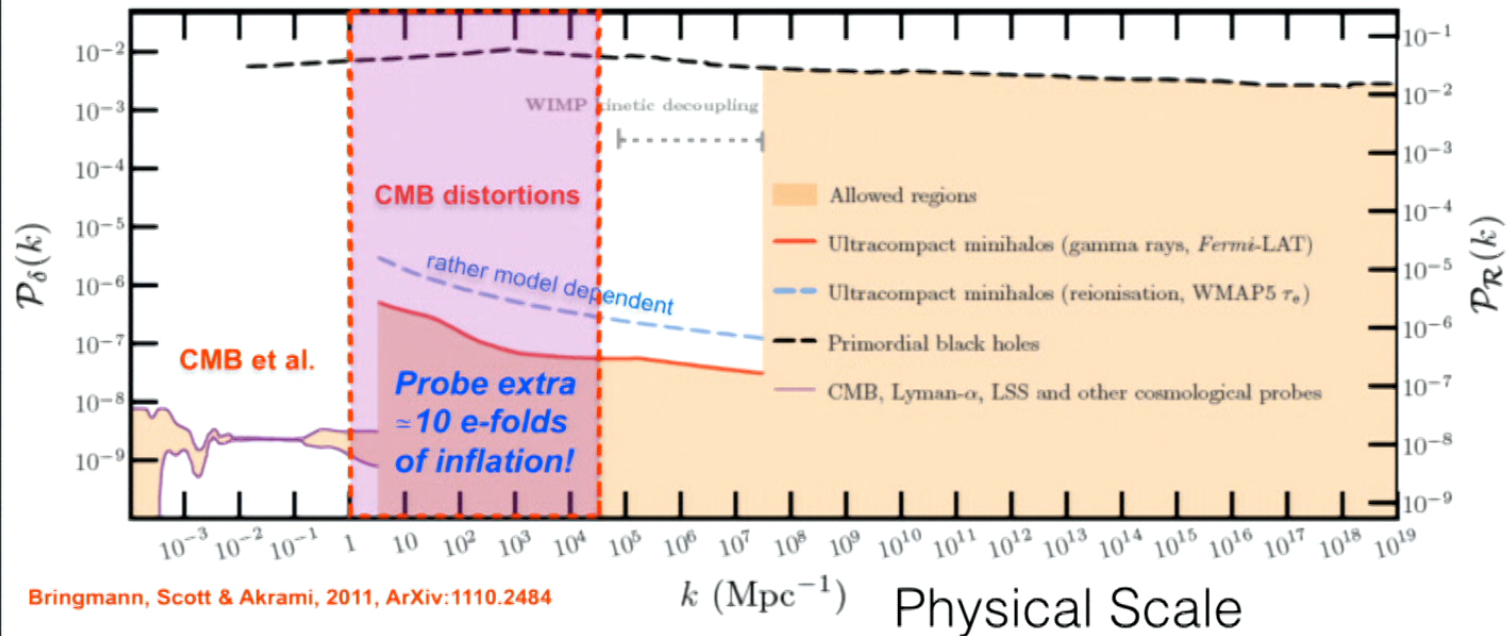
Colin Hill  
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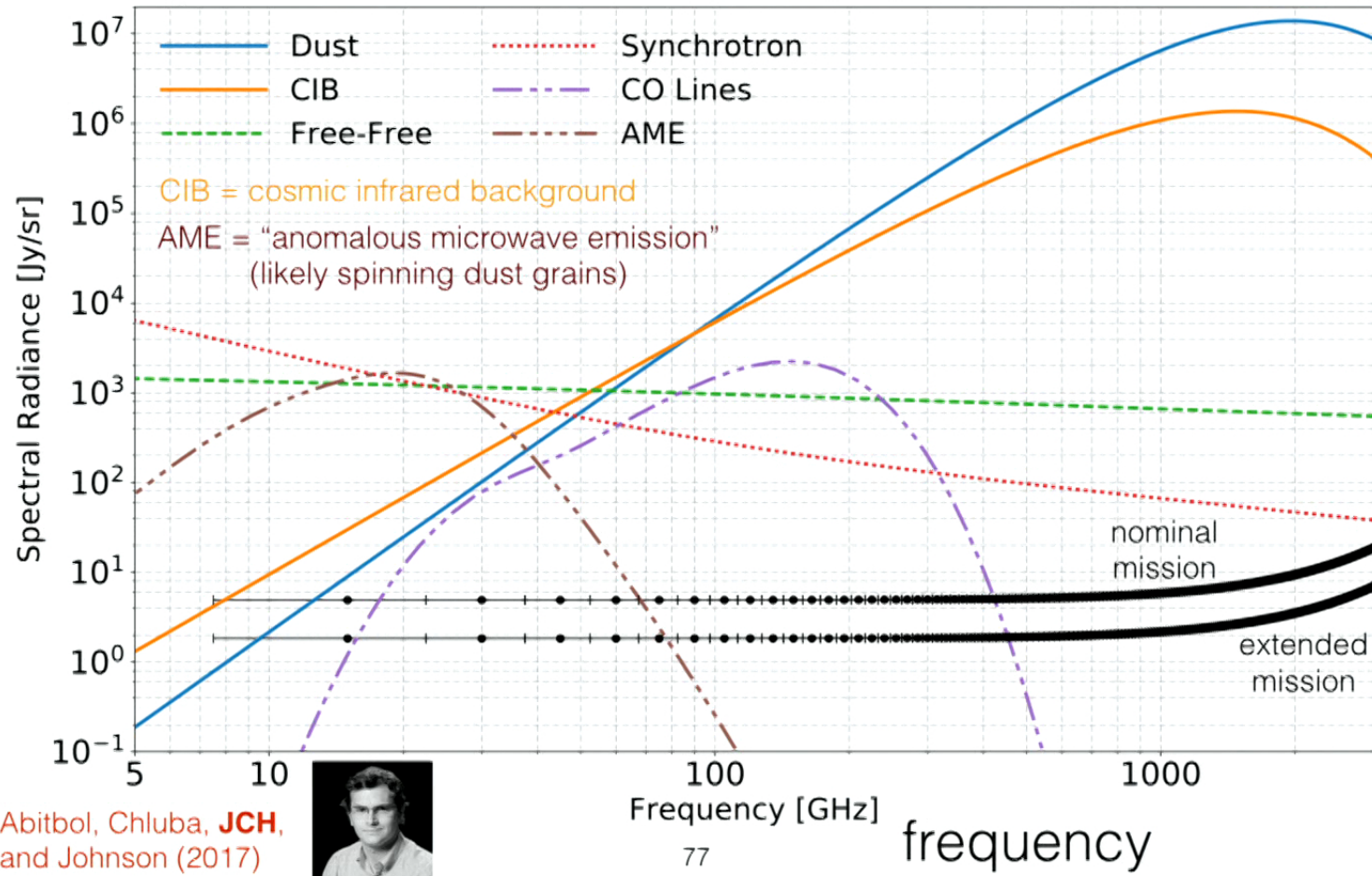
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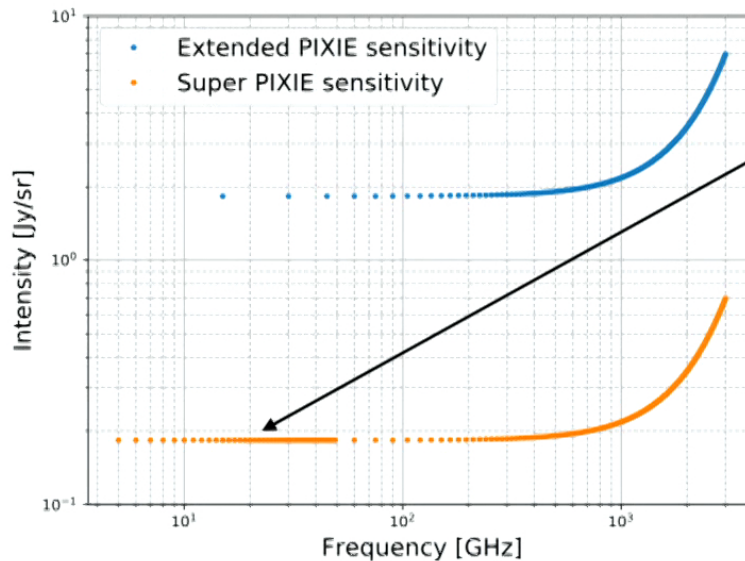
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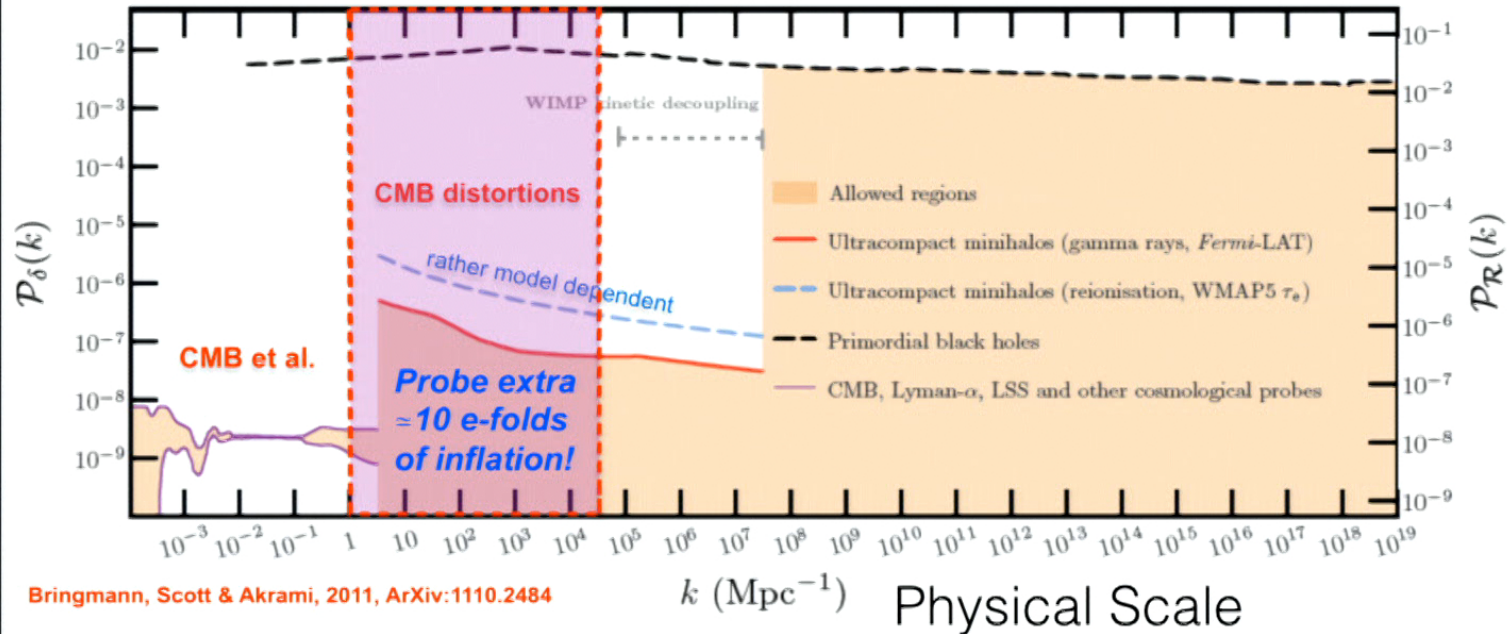
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