

Title: Steps towards testing  $\Lambda$ CDM with the Dark Energy Survey

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URL: <http://pirsa.org/18020094>

Abstract: 

Large scale structure surveys are one of our primary tools for answering open questions in cosmology like: What is the physics behind dark energy? Is gravity well described by general relativity on cosmological scales, or does that description need to be extended? In order to take full advantage of the information contained in survey data, however, we must ensure that we understand our data's sensitivity to new physics and that our analyses are not biased by systematics. In my talk I'll describe work I have been doing in this aim for the Dark Energy Survey (DES). I'll begin with an introduction to how we can use data from surveys like the DES to test  $\Lambda$ CDM, including approaches to constraining extensions to general relativity with cosmological data. I'll use that discussion to motivate a so-called growth-geometry split analysis, a consistency test of  $\Lambda$ CDM that works by comparing constraints from probes of structure growth and expansion history, and will discuss the status of such an analysis applied to DES data. I'll also give an overview of the blinding strategy planned for future multi-probe DES cosmology analyses.

# **Steps towards testing $\Lambda$ CDM with the Dark Energy Survey**

Jessie Muir



Perimeter Institute Cosmology and Gravitation Seminar 2/13/18

# Outline

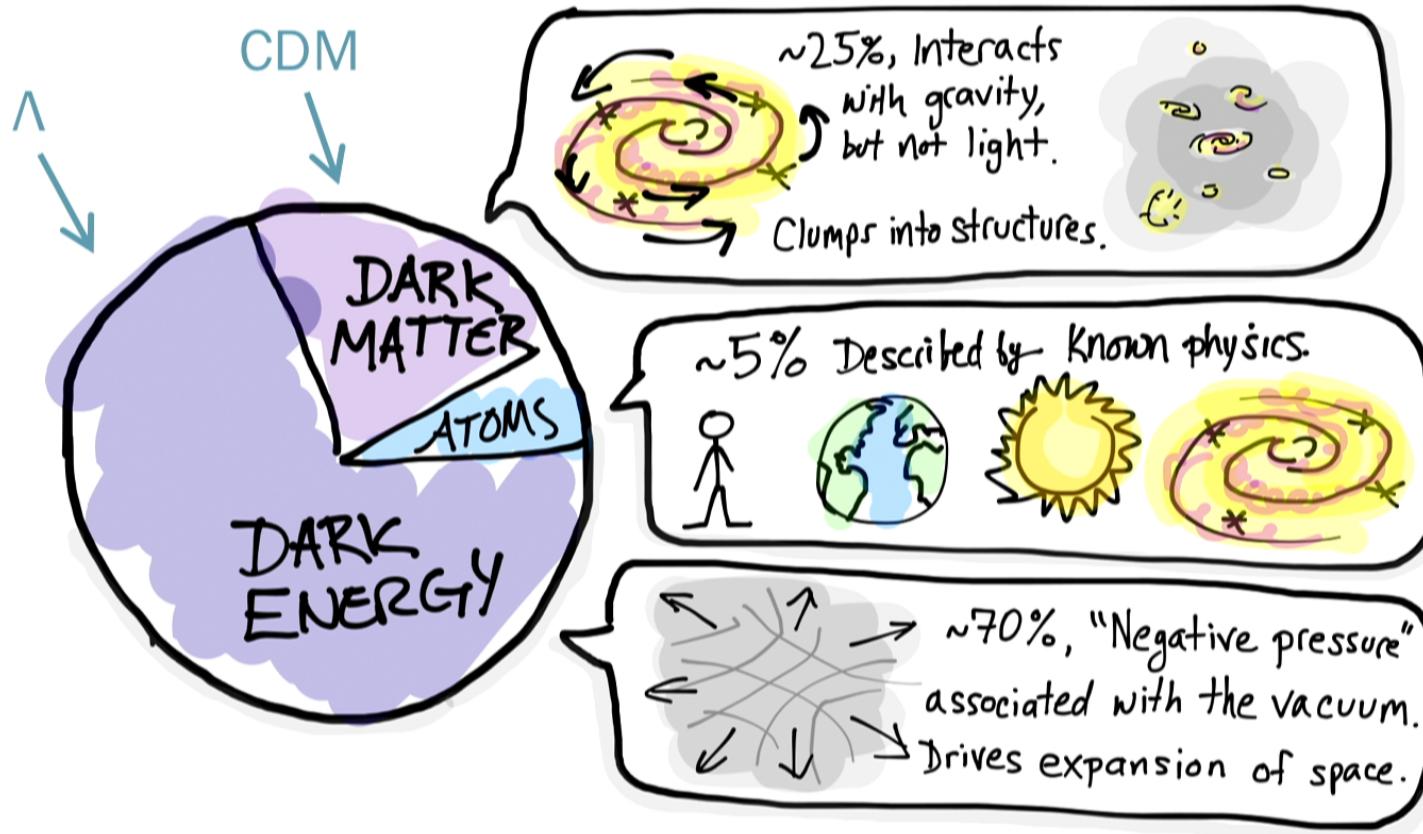
- Background: Using LSS surveys to test  $\Lambda$ CDM
- Growth-geometry split as a consistency test of  $\Lambda$ CDM.
- Blinding multi-probe cosmology analyses

Other things I've been working on :

- Studying effect of LSS systematics on separation of late (ISW) and early-time contributions to CMB.
  - N. Weaverdyck, JM, D. Huterer, arXiv:1709.08661
  - JM, D. Huterer, Phys. Rev. D94 (2016) no.4, 043503, arXiv:1603.06586
- Studying the covariance between large angle CMB anomalies
  - JM, S. Adhikari, D. Huterer; in prep

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# $\Lambda$ CDM: Standard cosmological model

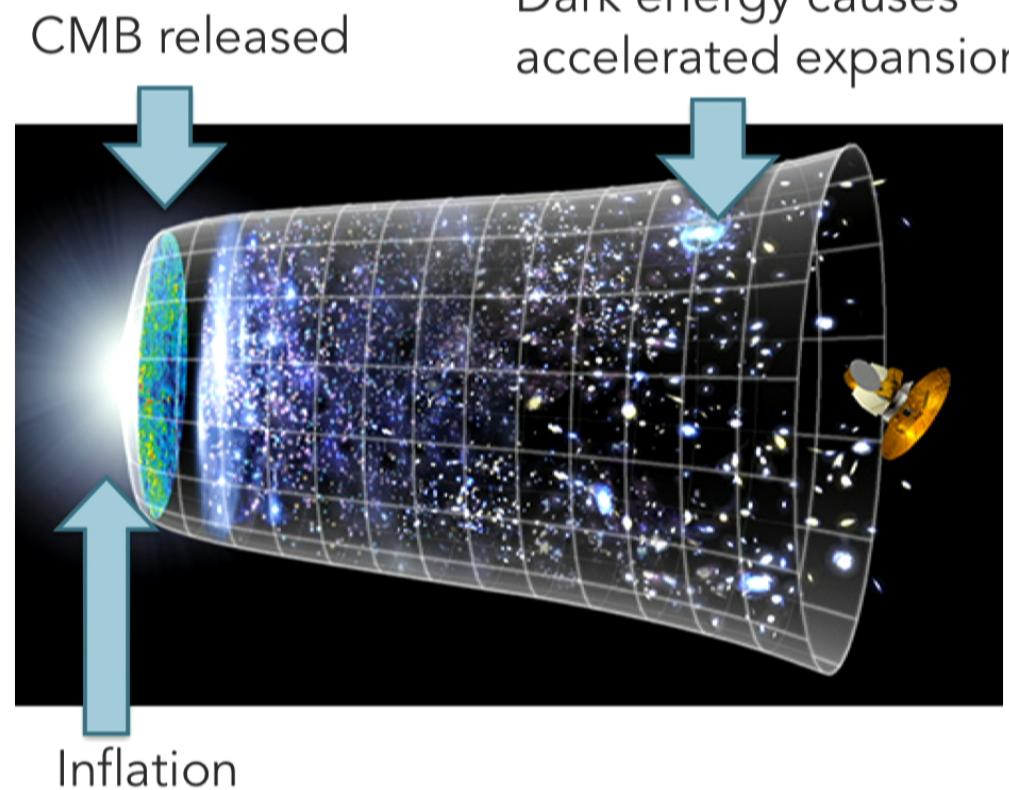


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# Expansion history



+ General relativity



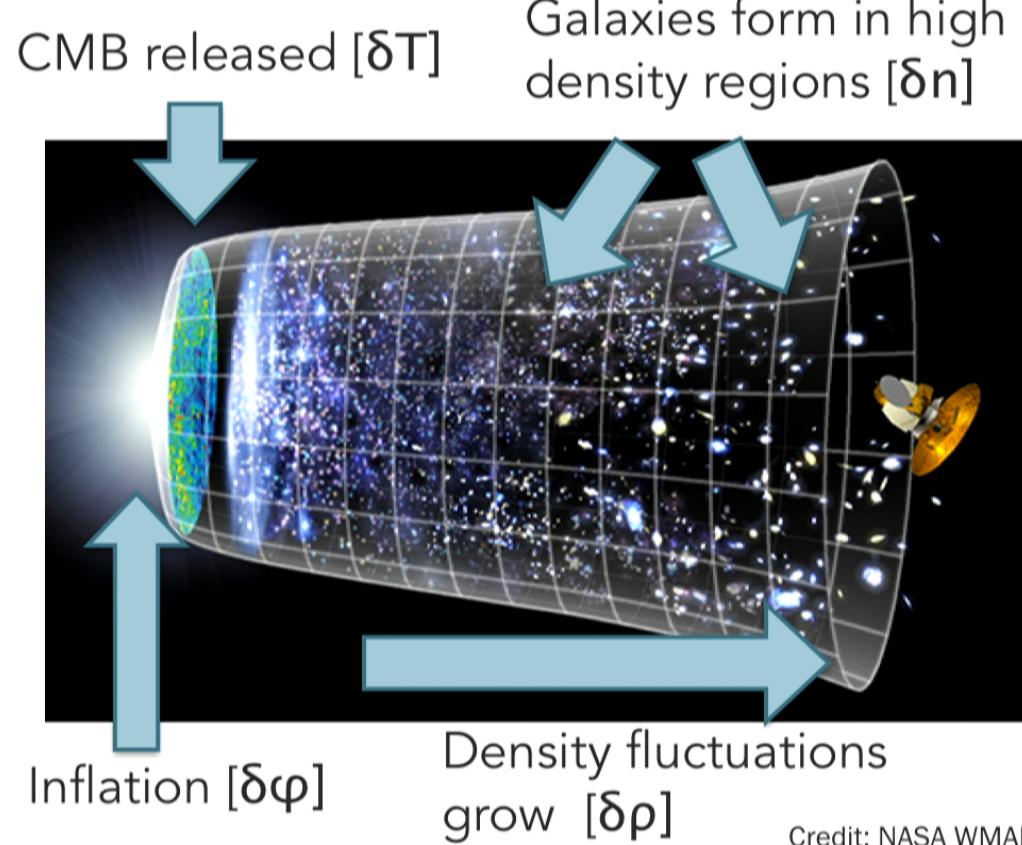
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Credit: NASA WMAP  
Science team

# Structure growth



- + General relativity
  - + Initial fluctuation properties
- ====

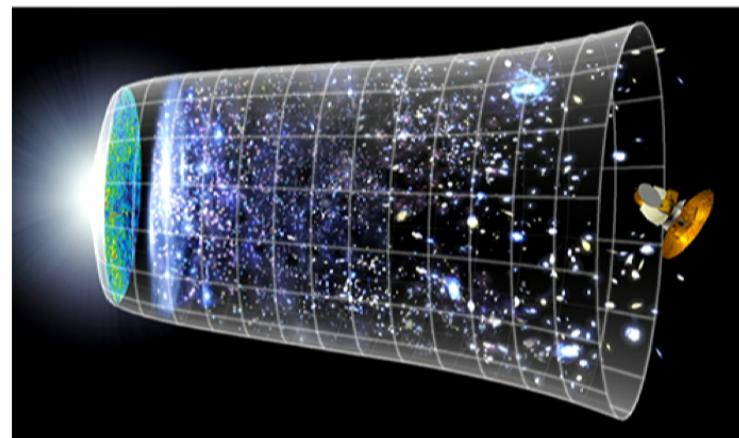
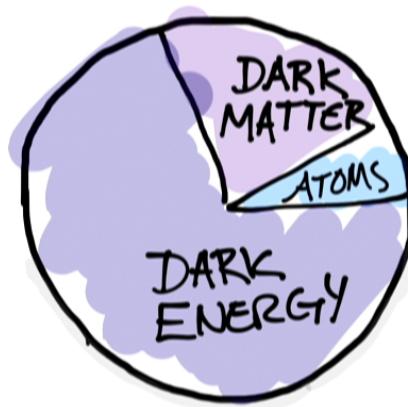


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Credit: NASA WMAP  
Science team

# Open questions

- What physics governed inflation?
- What is dark matter?
- What is dark energy?
- Is general relativity a complete description of gravity?



Credit: NASA WMAP Science team

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# **CONSTRAINING COSMOLOGY WITH THE DARK ENERGY SURVEY (DES)**

# DES



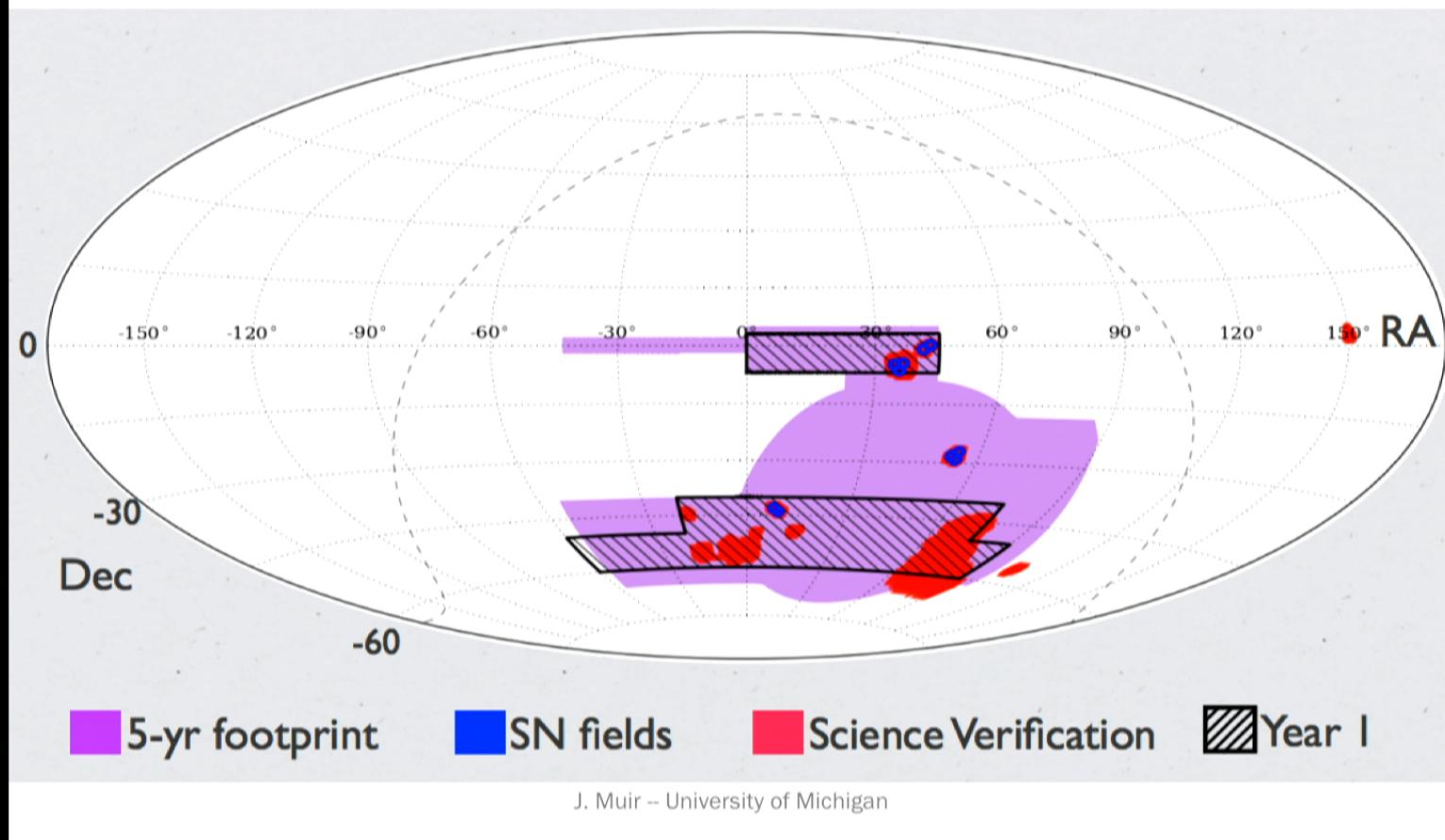
- Photometric galaxy survey using 4-m Blanco telescope at Cerro Tololo Inter-American Observatory (CTIO) in Chile
- Mapping galaxy positions and shapes over 1/8 of the sky out to  $z \sim 1$
- Also measuring supernovae & galaxy clusters.



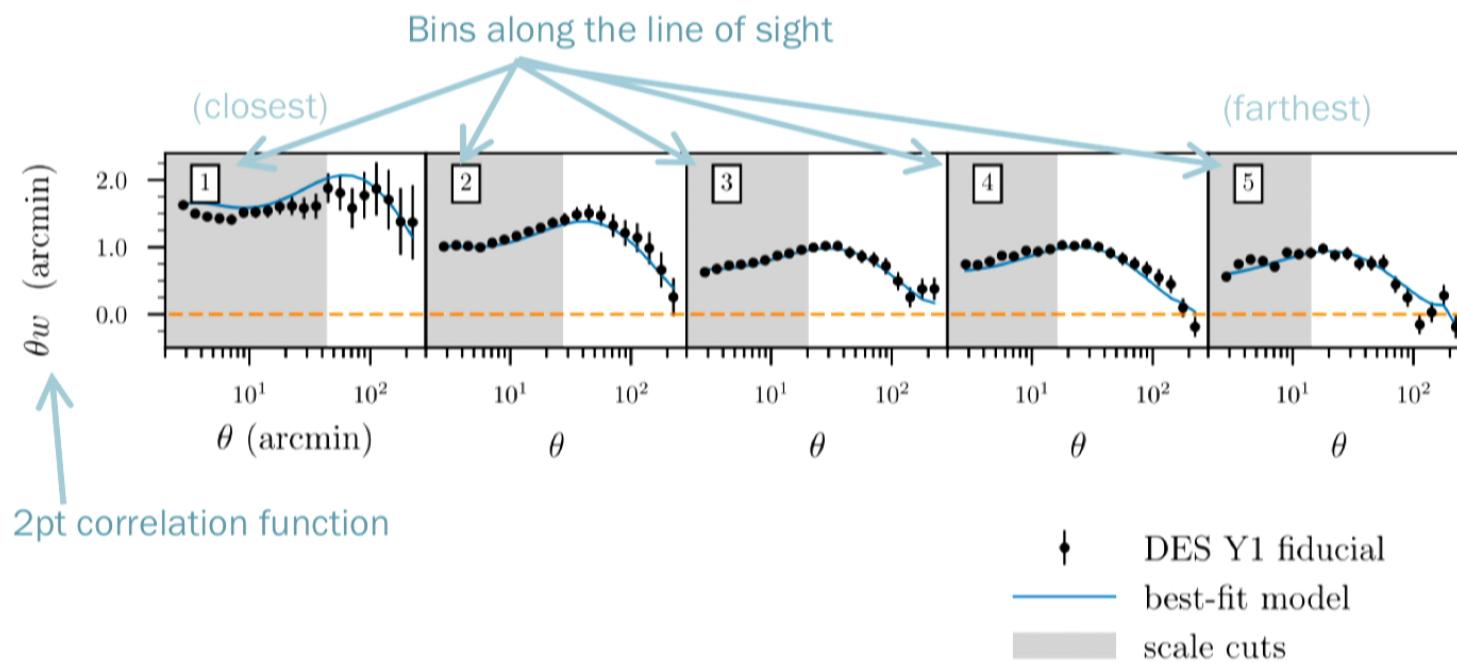
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Image credit: Reider Hahn, Fermilab

# The Dark Energy Survey



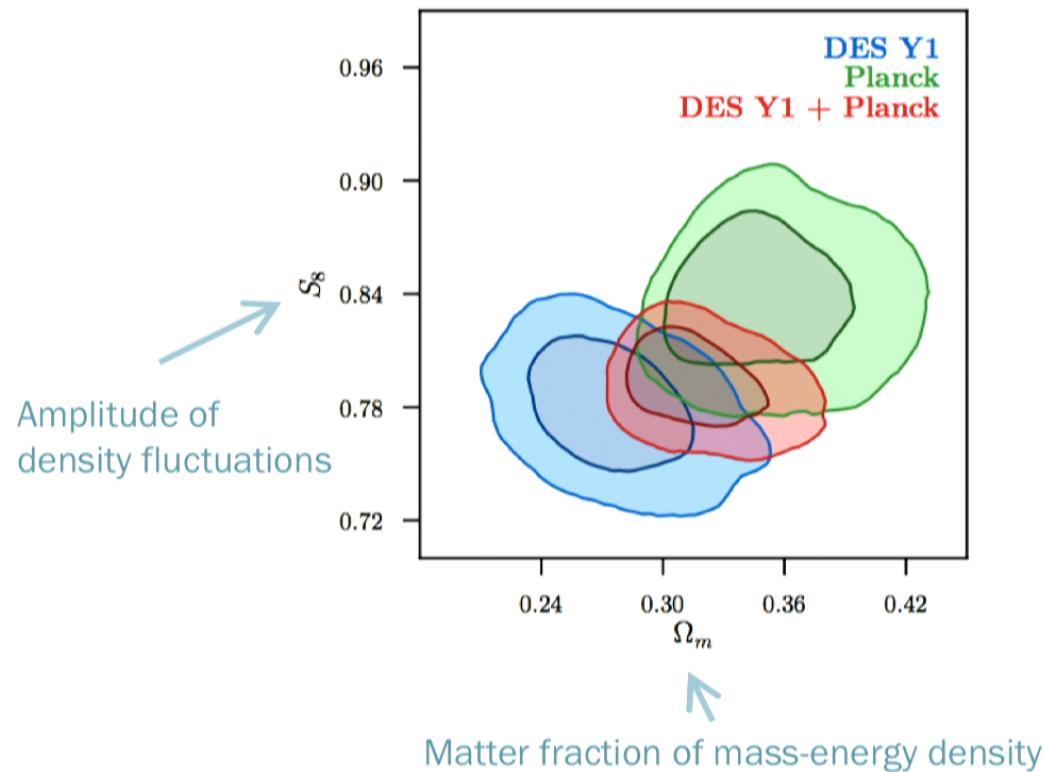
# Galaxy clustering



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DES Collaboration  
arXiv: 1708.01530

# DES Y1 results for $\Lambda$ CDM



Cosmology analysis combines 2pt correlation functions:

- Galaxy-galaxy
- Shear-shear
- Galaxy-shear

DES Collaboration  
arXiv: 1708.01530

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# **GROWTH-GEOMETRY SPLIT**

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# Going beyond $\Lambda$ CDM

- Simplest model for dark energy: Cosmological constant
  - $\Lambda$  in  $\Lambda$ CDM
- To test  $\Lambda$ CDM, can...
  - Check agreement between different probes
  - Constrain time dependence by measuring equation of state parameter  $w$ :
    - $w = \text{pressure/density}$
    - $w = -1 \rightarrow \Lambda$
    - $w \neq -1 \rightarrow \text{time dependent energy density}$
  - Constrain parameters of other models
    - Dynamic DE, coupled DE, modified gravity...

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# Modified gravity

- Could accelerating expansion be due to deviation from GR?
- Or more conservatively: is GR well tested on cosmological scales?

$$R_{\mu\nu} - \frac{1}{2}Rg_{\mu\nu}$$

Curvature of spacetime

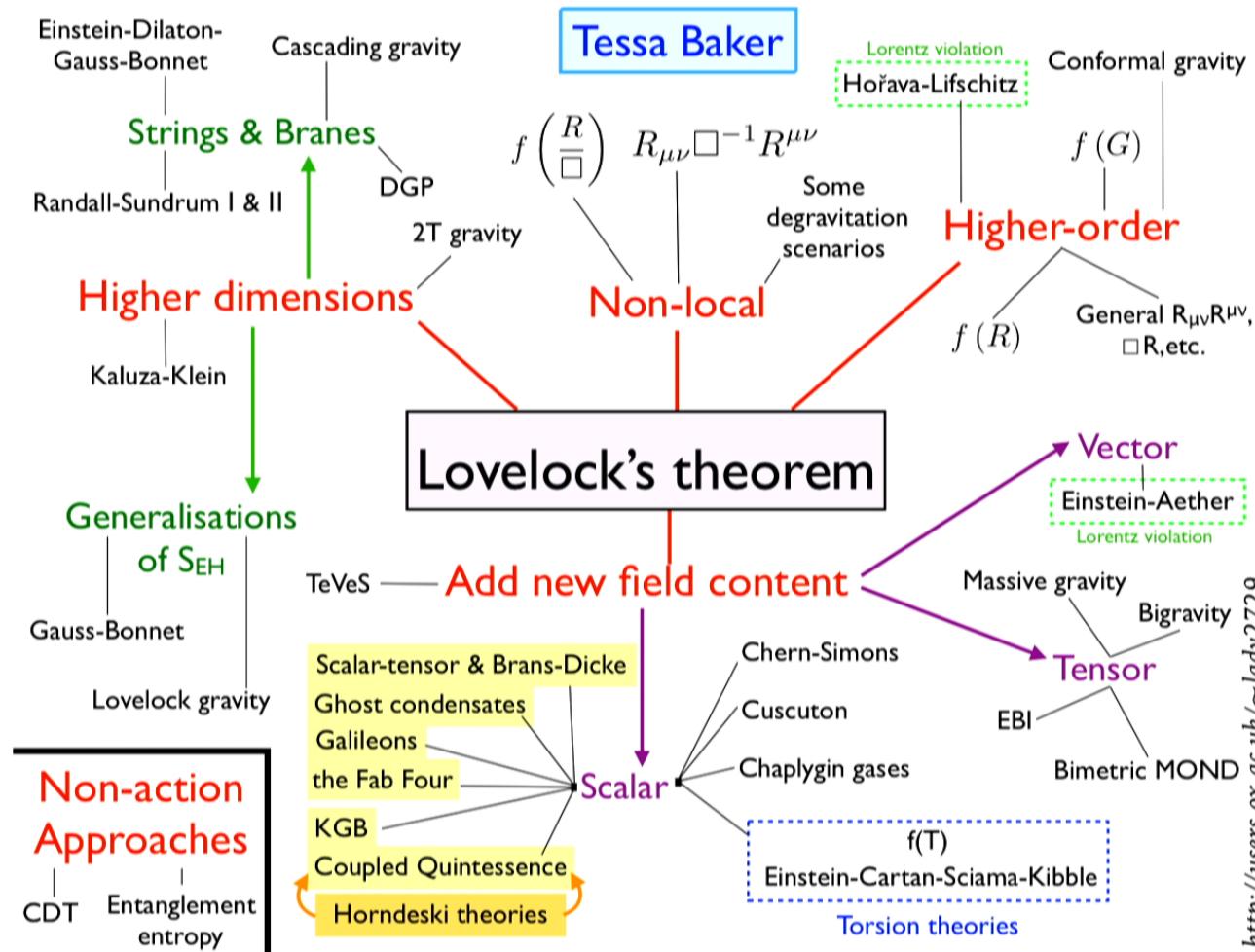
$$= 8\pi G T_{\mu\nu}$$

Matter and energy

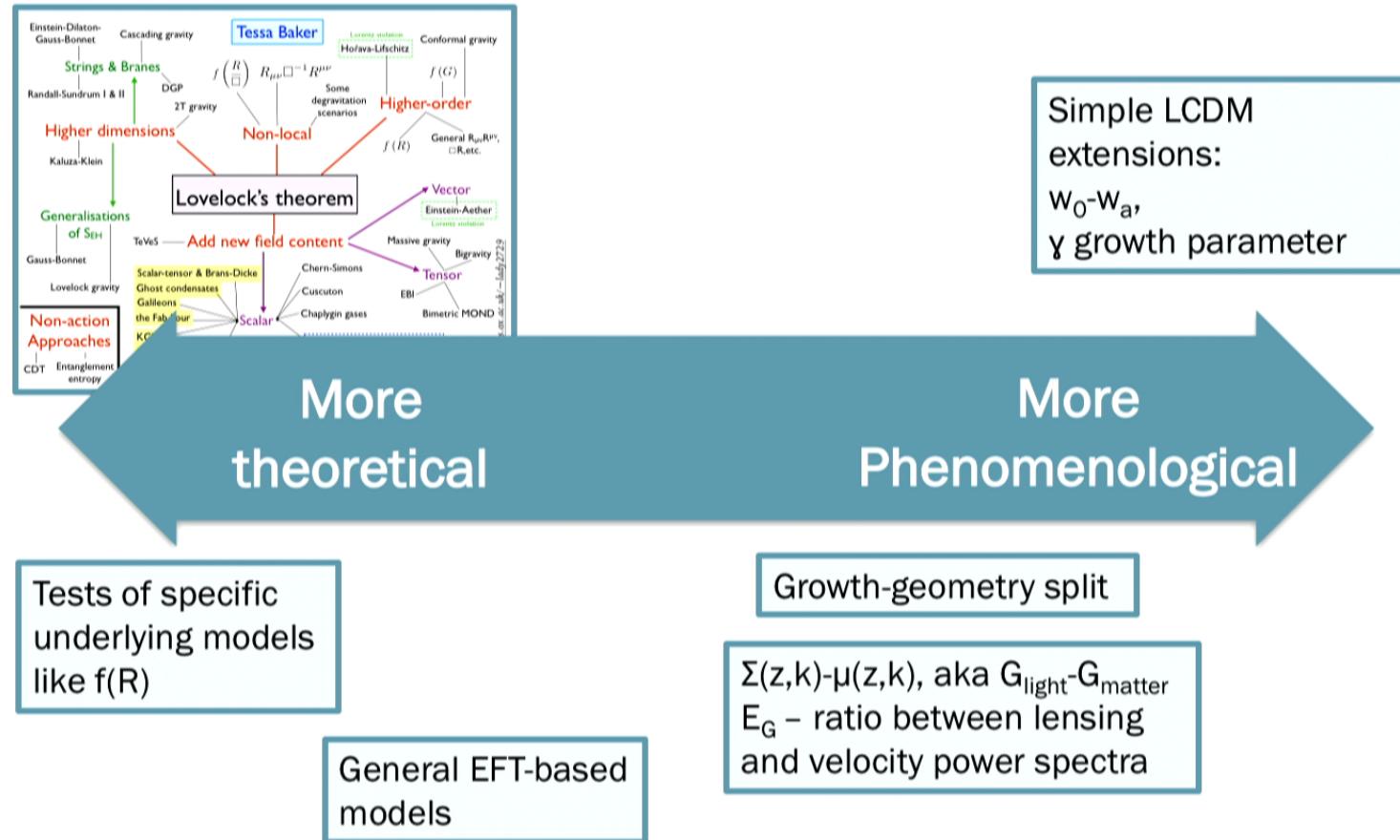
Einstein's  
equation

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# Modified gravity models



# Constraining MG models with LSS



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# Growth-geometry split parameterization

Test consistency of  $\Lambda$ CDM (or wCDM) by comparing constraints from geometry and growth-based probes.

- *Geometry: expansion rate  $H(z)$ , distance measures*
- *Growth: growth rate in linear & nonlinear regimes*

Following Ruiz & Huterer, Phys. Rev. D 91, 063009 (2015) arXiv:1410.5832:

$$\Omega_m \rightarrow \Omega_m^{\text{grow}}, \Omega_m^{\text{geo}}$$

See also:

Sheng Wang et al, Phys. Rev. D 76, 063503 (2007);  
Bernal, José Luis and Verde, Licia and Cuesta, Antonio J., astro-ph/1511.03049;

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# Growth-geometry split

## Pros

- MG models break  $\Lambda$ CDM relationship between expansion history and structure growth. Sensitive to this.
- Fairly model independent.
- Simple to implement – e.g. can reuse  $\Lambda$ CDM modeling of non-linear physics.

## Cons

- If  $\Omega_m^{\text{geo}} \neq \Omega_m^{\text{grow}}$  physical interpretation is not clear.

Following Ruiz & Huterer, Phys. Rev. D 91, 063009 (2015) arXiv:1410.5832:

$$\Omega_m \rightarrow \Omega_m^{\text{grow}}, \Omega_m^{\text{geo}}$$

# Implementing in DES pipeline

- Power spectrum mixes growth and geometry. For  $z_i=3.5$ , linear  $P(k)$  is

$$P(k, z) = \frac{P^{\text{geo}}(k, z_i)}{P^{\text{grow}}(k, z_i)} P^{\text{grow}}(k, z)$$

- Projection effects are geometry

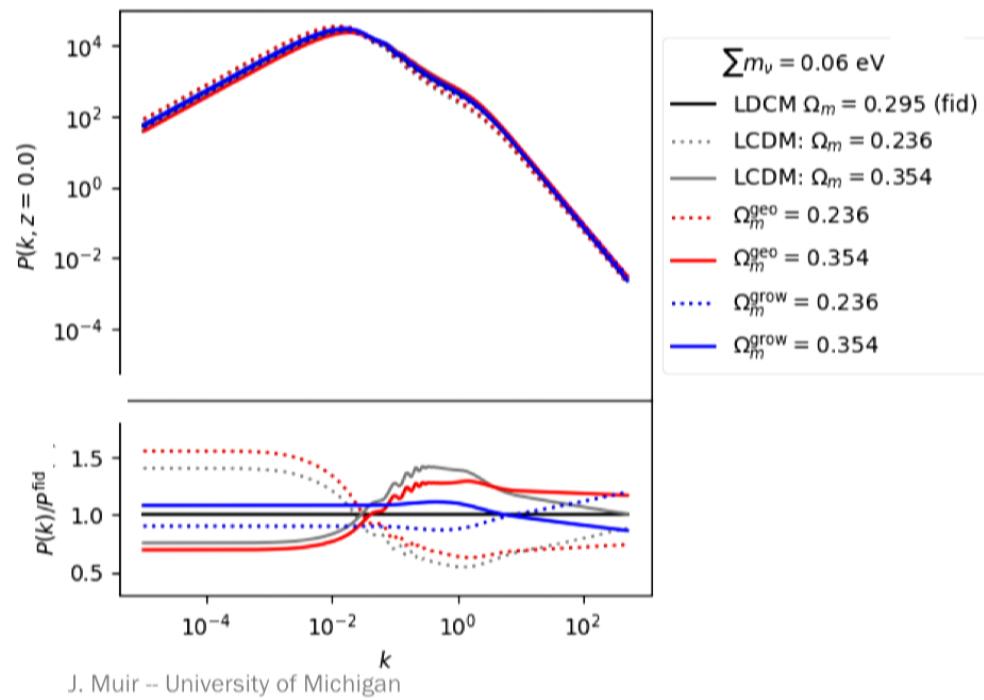
Solid lines:  $\Omega_m \uparrow 20\%$

Dotted lines:  $\Omega_m \downarrow 20\%$

Grey:  $\Lambda$ CDM

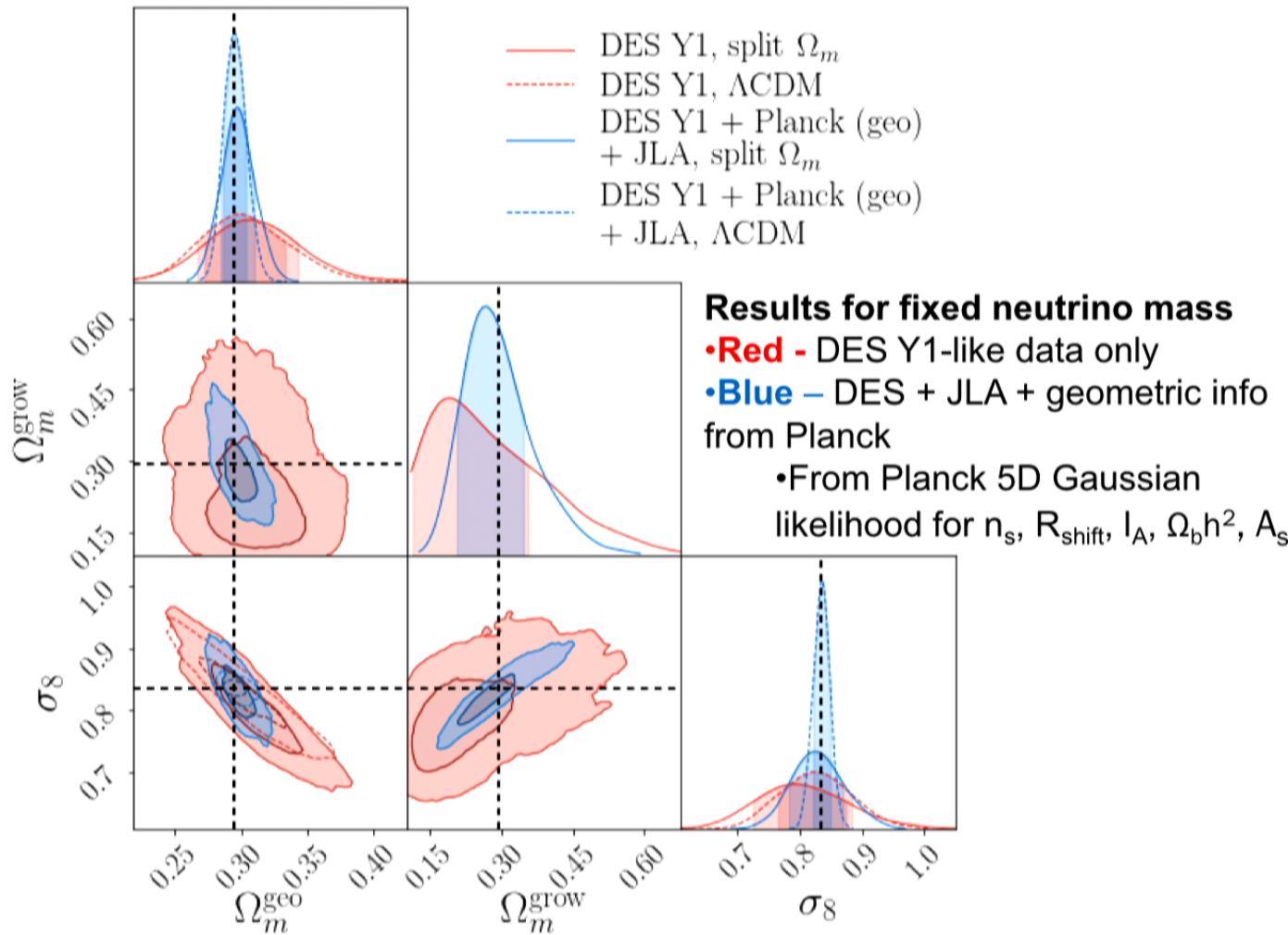
Red: change  $\Omega_m^{\text{geo}}$  only  
Blue: change  $\Omega_m^{\text{grow}}$  only

Working with: Eric Baxter,  
Vinicius Miranda, Dragan  
Huterer, Bhuvnesh Jain



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# Testing on DES Y1-like simulated data



# Growth-geometry analysis status

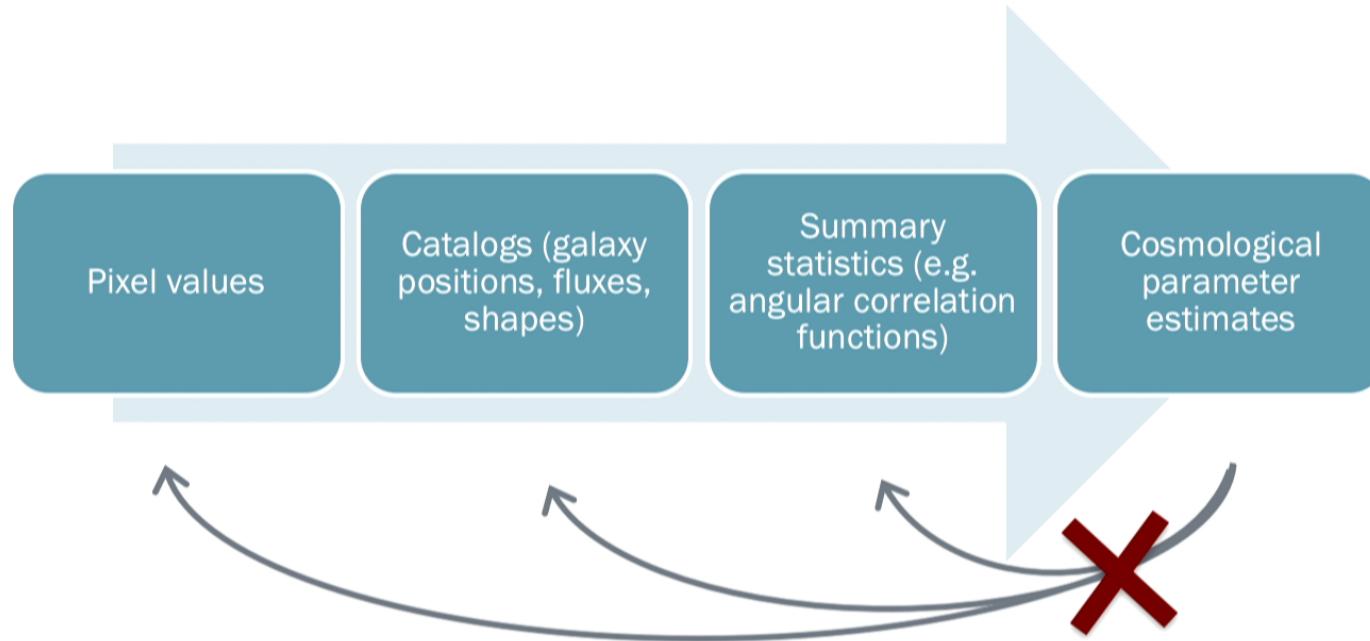
- Running with varying neutrino mass (per fiducial DES choice)
- Next step: study relationship with systematics
  - E.g. can adding some astrophysical systematic cause a false detection of  $\Omega_m^{\text{geo}} \neq \Omega_m^{\text{grow}}$ ?
- Will run on DES Year-1 data.

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# **MULTI-PROBE BLINDING FOR DES**

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# Multiprobe blinding



## Requirements

- Shift output cosmological parameters
- Preserve inter-probe consistency
- Preserve ability to test for systematic errors

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# For DES Year-1 analysis

Shears blinded with  
multiplicative factor  
(unblinded to combine)

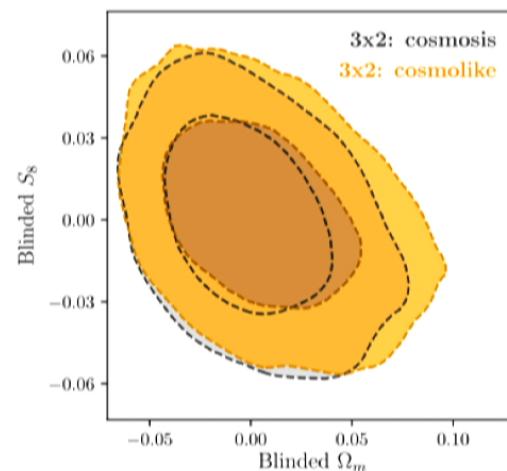


Pixel values

Catalogs (galaxy  
positions, fluxes,  
shapes)

Summary  
statistics (e.g.  
angular correlation  
functions)

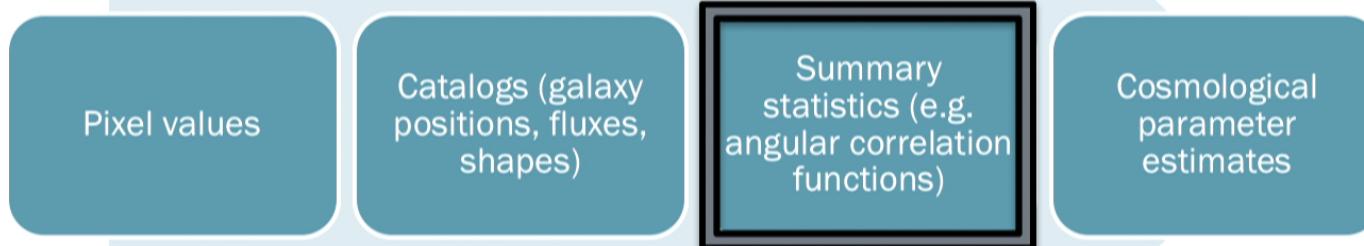
Cosmological  
parameter  
estimates



Hide axes or  
introduce  
unknown offset

# More robust scheme for Year-3 analysis

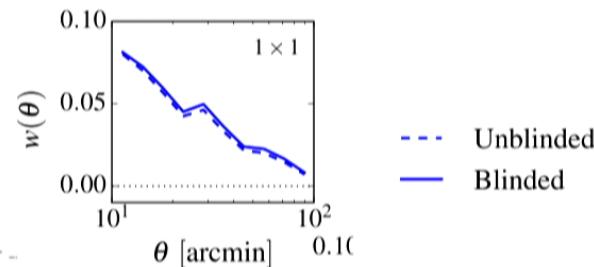
Shears blinded with  
multiplicative factor  
(unblinded to combine)



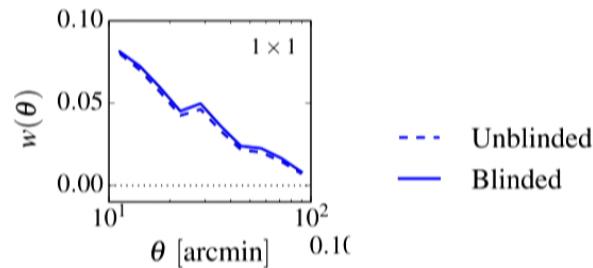
*Methods paper in prep.*

*Working with Franz Elsner, Gary Bernstein, Dragan Huterer*

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# Strategy for Y3: Linearly scale summary statistics



$\tilde{d}$  =  
blinded  
data vector

$f$

$d_{\text{obs}}$   
observed  
data vector

$d$  = any summary statistic  
(value of some 2pt function in  
some angular scale bin)



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# Strategy for Y3: Linearly scale summary statistics

$\Theta$  = set of cosmological parameters

$$\rightarrow \Theta_{\text{shift}} = \Theta_{\text{ref}} + \Delta\Theta$$

$$\tilde{d} = \frac{\hat{d}(\Theta_{\text{shift}})}{\hat{d}(\Theta_{\text{ref}})}$$

blinded data vector

model prediction for  $d$  given cosmology  $\Theta$

blinding factor

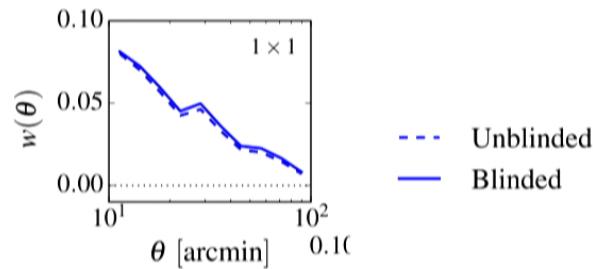
$d$  = any summary statistic  
(value of some 2pt function in some angular scale bin)

$$d_{\text{obs}}$$

observed data vector

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# Strategy for Y3: Linearly scale summary statistics



$\tilde{d}$  =  
blinded  
data vector

$f$

$d_{\text{obs}}$   
observed  
data vector

$d$  = any summary statistic  
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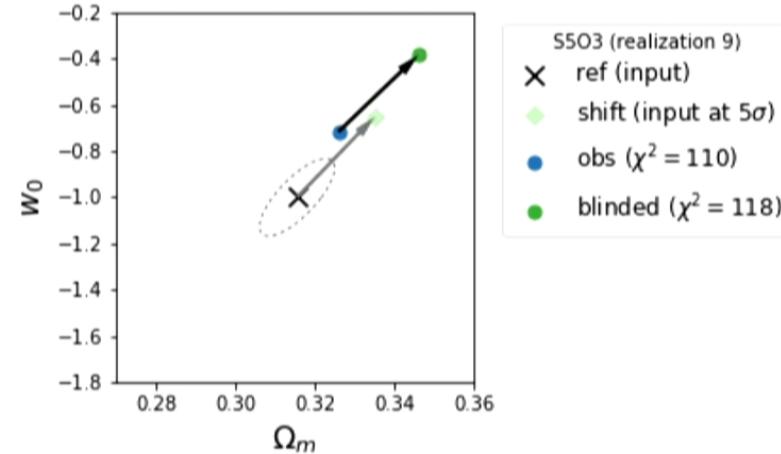
# Test: How does blinding affect the best fit $\Theta$ ?

$$\tilde{d} = \frac{\hat{d}(\Theta_{\text{shift}})}{\hat{d}(\Theta_{\text{ref}})} \cdot d_{\text{obs}}$$

blinded data vector      blinding factor      observed data vector

$\Theta_{\text{shift}} = \Theta_{\text{ref}} + \Delta\Theta$

$d_{\text{obs}} = \hat{d}(\Theta_{\text{obs}}) + n$  (theory noise)



In general:

$$\begin{aligned}\Theta_{\text{shift}} - \Theta_{\text{ref}} \\ \approx \Theta_{\text{bl}} - \Theta_{\text{unbl}}\end{aligned}$$

Test analysis run on simulated data vectors:

- Galaxy-galaxy corr
- shear-shear corr
- Galaxy – shear corr

Ellipse:  $1\sigma$  for DES Y1

# Test: Is the blinded data vector consistent with a valid cosmology?

$$\tilde{d} = \frac{\hat{d}(\Theta_{\text{shift}})}{\hat{d}(\Theta_{\text{ref}})} \cdot d_{\text{obs}}$$

blinded data vector

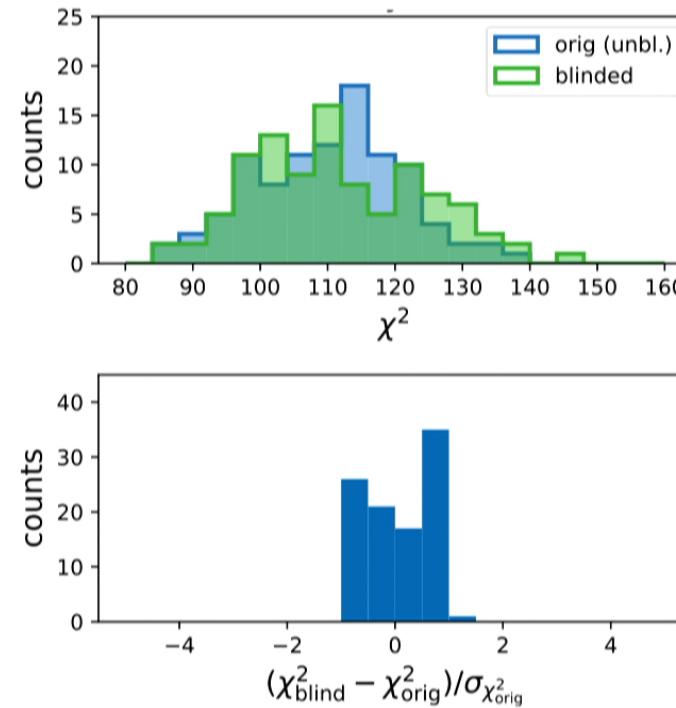
blinding factor

$\Theta_{\text{shift}} = \Theta_{\text{ref}} + \Delta\Theta$

$d_{\text{obs}} = \hat{d}(\Theta_{\text{obs}}) + n$

↑ theory noise ↑

observed data vector



# Summary

- LSS surveys give us an opportunity to test  $\Lambda$ CDM by comparing results against other probes or testing extended models.
- Growth-geometry split parameterization is:
  - A phenomenological consistency test of  $\Lambda$ CDM motivated by modified gravity models.
  - One of the extended analyses that will be run on DES Year 1 data.
- Multi-probe blinding is:
  - A tool to prevent experimenters' bias from influencing analyses, one among many tools to protect against systematics.
  - Able to shift output parameters without influence treatment of other systematics by multiplying summary statistics (2pt functions) by specific scale-dependent factors.
- Both of these will implemented in near-future DES analyses, which can serve as a test-bed for future LSS analyses.

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