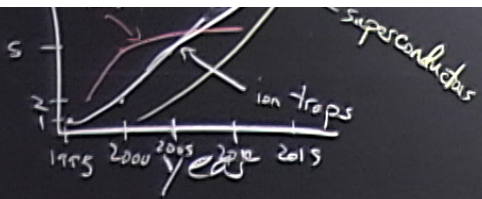


Title: PSI 17/18 - Quantum Information - Lecture 4

Date: Feb 23, 2018 11:30 AM

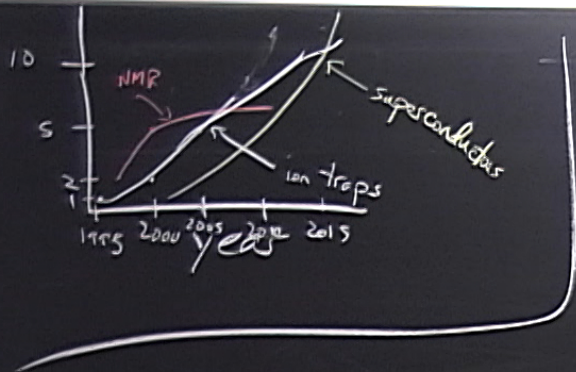
URL: <http://pirsa.org/18020047>

Abstract:



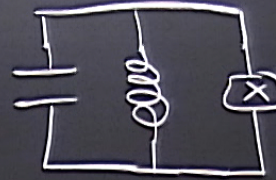
Superconductors - mesoscopic

- decoherence times 10s μ sec.
- gate times nanoseconds.
- solid state



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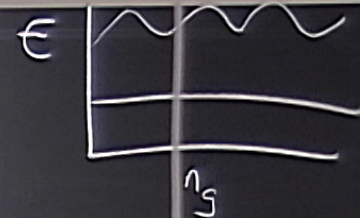
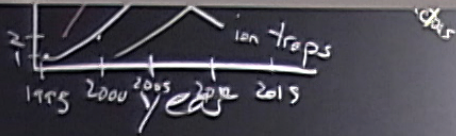


$$H = E_C (n - n_g)^2 + E_L (\phi - \phi_e)^2 / 2 - E_J \cos \phi$$

n & ϕ are conjugate variables

n = # Cooper pairs on capacitor

ϕ = superconducting phase change over inductor



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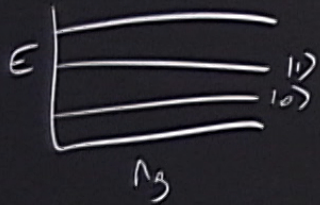
n = # Cooper pairs or capacitor

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Trans

Solid state

Transmon
capacitance $\rightarrow \infty$



Couple superconducting
circuit to microwave resonator

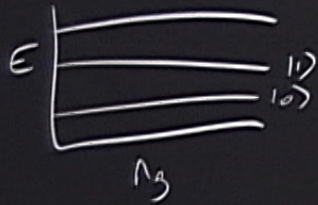
$$H \approx \hbar \omega a^\dagger a + \frac{\hbar \Omega}{2} \sigma^z + \hbar g (a^\dagger \sigma^- + a \sigma^+)$$

$$\sigma^\pm = \frac{\sigma^x \pm i \sigma^y}{2}$$

Jaynes-Cummings Hamiltonian

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Jaynes-Cummings Hamiltonian

$$\sigma^{\pm} = \frac{\sigma^x \pm i \sigma^y}{2}$$

Qubit $|0\rangle$ & $|1\rangle$ actually are entangled between
superconductor & cavity

Control:

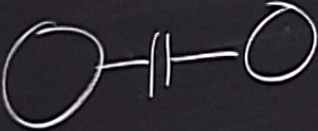
- Drive cavity with microwaves
- Loop w/ multiple Josephson junctions
 - Couple to magnetic flux controlled by another circuit
- Change voltages

Measurement:

Strong microwave driving of cavity - correlated with qubit state.

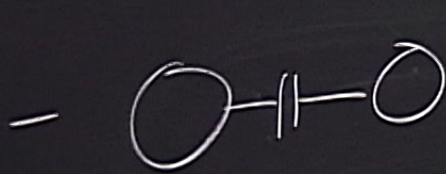
- By changing flux in circuit, change \mathcal{R} (energy splitting of qubits)

→ Do phase gates, σ^z Hamiltonian

-  $H = \sigma_1^+ \sigma_2^- + \sigma_1^- \sigma_2^+$
 $|00\rangle$ & $|11\rangle$ are left alone, $|01\rangle$ & $|10\rangle$ can switch places.

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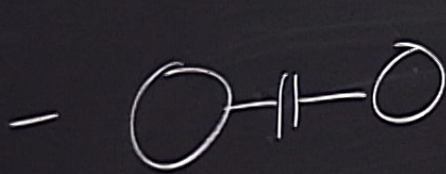


$H = \sigma_1^+ \sigma_2^- + \sigma_1^- \sigma_2^+$
 $|00\rangle$ & $|11\rangle$ are left alone, $|01\rangle$ & $|10\rangle$ can switch places

$$\sqrt{\text{SWAP}} = \begin{pmatrix} 1 & 0 & 0 & 0 \\ 0 & 1 & -i & 0 \\ 0 & -i & 1 & 0 \\ 0 & 0 & 0 & 1 \end{pmatrix}$$

- By changing flux in circuit, change Ω (energy splitting of qubits)

→ Do phase gates, σ^z Hamiltonian



$H = \sigma_1^+ \sigma_2^- + \sigma_1^- \sigma_2^+$
 $|00\rangle$ & $|11\rangle$ are left alone, $|01\rangle$ & $|10\rangle$ can switch places.

$$\sqrt{\text{SWAP}} = \begin{pmatrix} 1 & 0 & 0 & 0 \\ 0 & 1 & -i & 0 \\ 0 & -i & 1 & 0 \\ 0 & 0 & 0 & 1 \end{pmatrix}$$

Other systems:

- Neutral atoms in optical lattices
- Linear optics
- NMR
- NV centers in diamond
- Spins in silicon
- Quantum dots

