

Title: Testing Light Dark Matter Co-Annihilation Signatures with Fixed Target Experiments

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Abstract:



# Light DM at Fixed Target Experiments

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w/ Yoni Kahn, Gordan Krnjaic, and Matthew Moschella

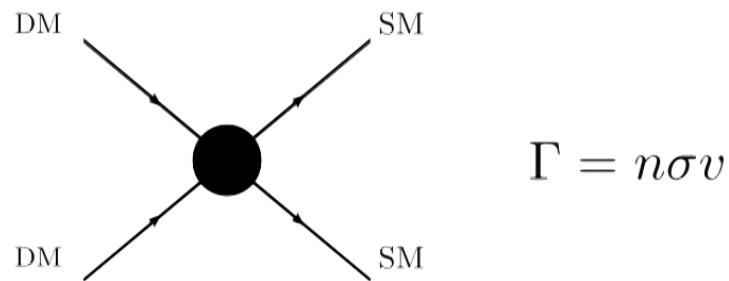
Based on 1703.06881

New Directions in Dark Matter and Neutrinos, July 21 2017

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# A Thermal Origin

Suppose DM was in thermal equilibrium with SM



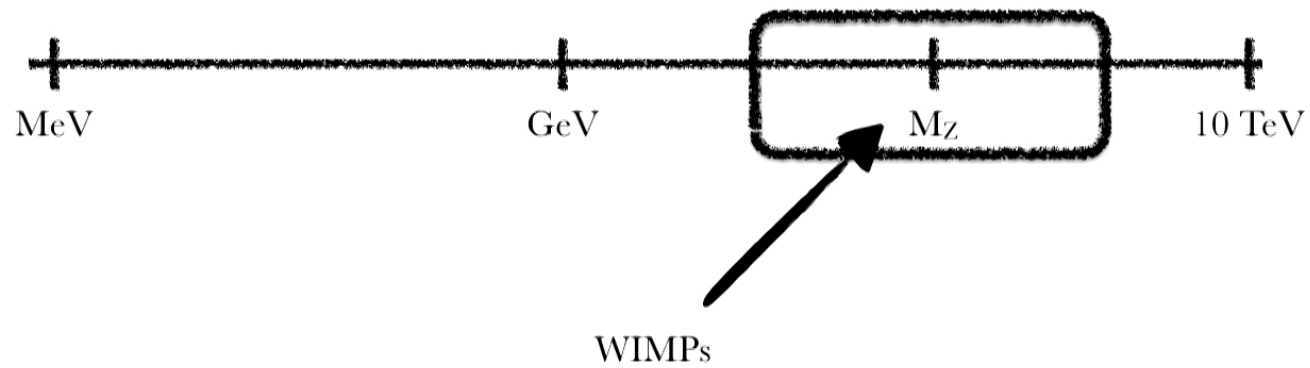
Thermal equilibrium will cease when

$$\Gamma < \Gamma_H$$

After this point, DM is “frozen out”

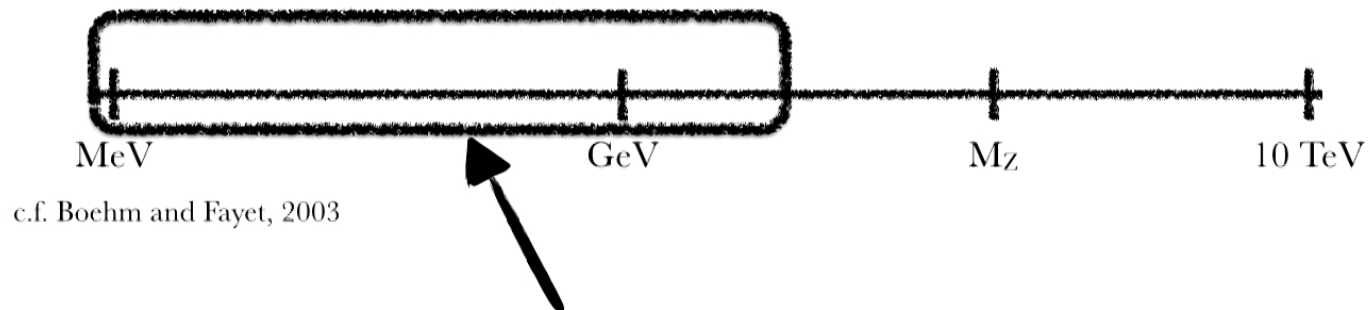
# A Thermal Origin

A thermal origin gives us a restricted sharp target to aim for



# Light DM

A thermal origin gives us a restricted sharp target to aim for



Light thermal DM in contact with SM necessarily requires a new force to avoid over closure

Can look for new SM-DM interaction and its mediator

# Benchmarks/Models of Light DM

Must have light mediator  
Need SM feebly coupled to mediator

Focus on marginal operators

Vector Portal (spin 1)  $\epsilon_Y B^{\mu\nu} F'_{\mu\nu}$

Scalar Portal (spin 0)  $\epsilon_h |h|^2 |\phi|^2$

Fermion Portal (spin 1/2)  $\epsilon_\nu L h \psi$





# Benchmarks/Models of Light DM

Must have light mediator  
Need SM feebly coupled to mediator

Focus on marginal operators

This talk:  $\epsilon_Y B^{\mu\nu} F'_{\mu\nu}$

Also can be seen as simplified model  
e.g., very similar phenomenology to gauged B - L models

# The Vector Portal

Holdom - 1985

Minimal Lagrangian = SM Lagrangian + Dark QED + “Kinetic Mixing”

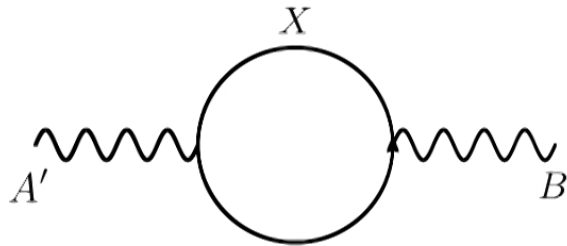
$$\mathcal{L} \supset -\frac{1}{4}B^{\mu\nu}B_{\mu\nu} - \frac{1}{4}F'^{\mu\nu}F'_{\mu\nu} - \frac{\kappa}{2}B^{\mu\nu}F'_{\mu\nu} + \frac{1}{2}m_{A'}^2 A'^{\mu}A'_{\mu}$$

Even if absent from fundamental theory  
the “kinetic mixing term” can be generated  
through virtual effects of massive particles

$$B^{\mu\nu} \equiv \partial^{\mu}B^{\nu} - \partial^{\nu}B^{\mu}$$

$$B^{\mu} = \cos\theta_W\gamma^{\mu} - \sin\theta_W Z^{\mu}$$

$$F'^{\mu\nu} \equiv \partial^{\mu}A'^{\nu} - \partial^{\nu}A'^{\mu}$$



Induce  $\kappa \sim \frac{g_D g_Y}{16\pi^2} \sim 10^{-3}$

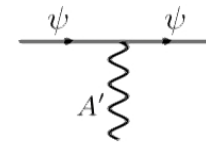
# Matter in the Dark Sector

Can expect DS matter states to be split (inelastic)

Start with a Dirac fermion  $\psi = \begin{pmatrix} \eta & \xi^\dagger \end{pmatrix}$  charged under a  $U(1)_D$  symmetry

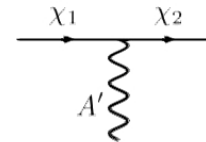
The vector current is diagonal

$$\mathcal{J}^\mu = \bar{\psi}\gamma^\mu\psi = \eta^\dagger\bar{\sigma}^\mu\eta - \xi^\dagger\bar{\sigma}^\mu\xi$$



Gauge invariance only allows a Dirac mass  
But if dark symmetry spontaneously broken can also get

$$-\mathcal{L} \supset m\bar{\psi}\psi + y\langle v_D\rangle\bar{\psi}^c\psi + h.c.$$



# Split States

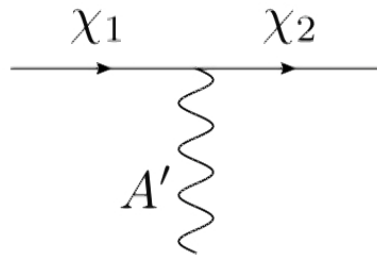
The mass eigenstates

$$\chi_1 = i(\eta - \xi)/\sqrt{2}, \quad \chi_2 = (\eta + \xi)/\sqrt{2}$$

c.f. Tucker-Smith and Weiner, 2001

now have (dominantly) off-diagonal interactions

$$\mathcal{J}^\mu = i(\chi_1^\dagger \bar{\sigma}^\mu \chi_2 - \chi_2^\dagger \bar{\sigma}^\mu \chi_1)$$



# Kinetic Mixing Portal Model

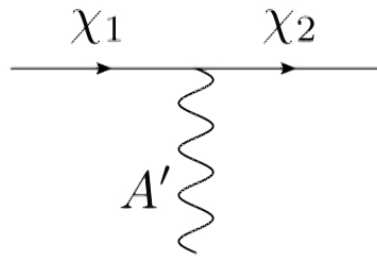
The mass eigenstates

$$\chi_1 = i(\eta - \xi)/\sqrt{2}, \quad \chi_2 = (\eta + \xi)/\sqrt{2}$$

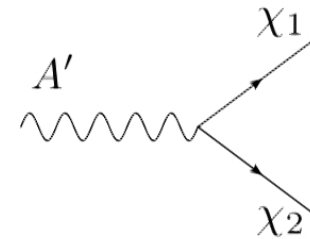
now have (dominantly) off-diagonal interactions

$$\mathcal{J}^\mu = i(\chi_1^\dagger \bar{\sigma}^\mu \chi_2 - \chi_2^\dagger \bar{\sigma}^\mu \chi_1)$$

Will focus on decay to DS hierarchy



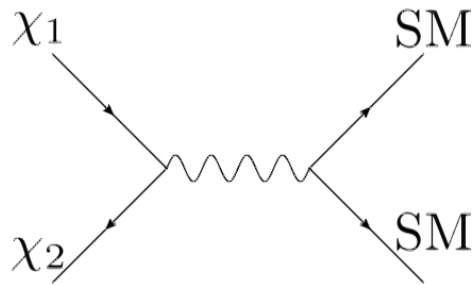
$$m_{A'} > m_1 + m_2$$



## A Viable DM Candidate?

DM could have obtained its present abundance from thermal freeze-out

In the early universe, in thermal contact with SM predominantly through



$$m'_A \gg m_1 \gg \Delta \rightarrow \langle \sigma v \rangle \approx \frac{y}{m_1^2}$$

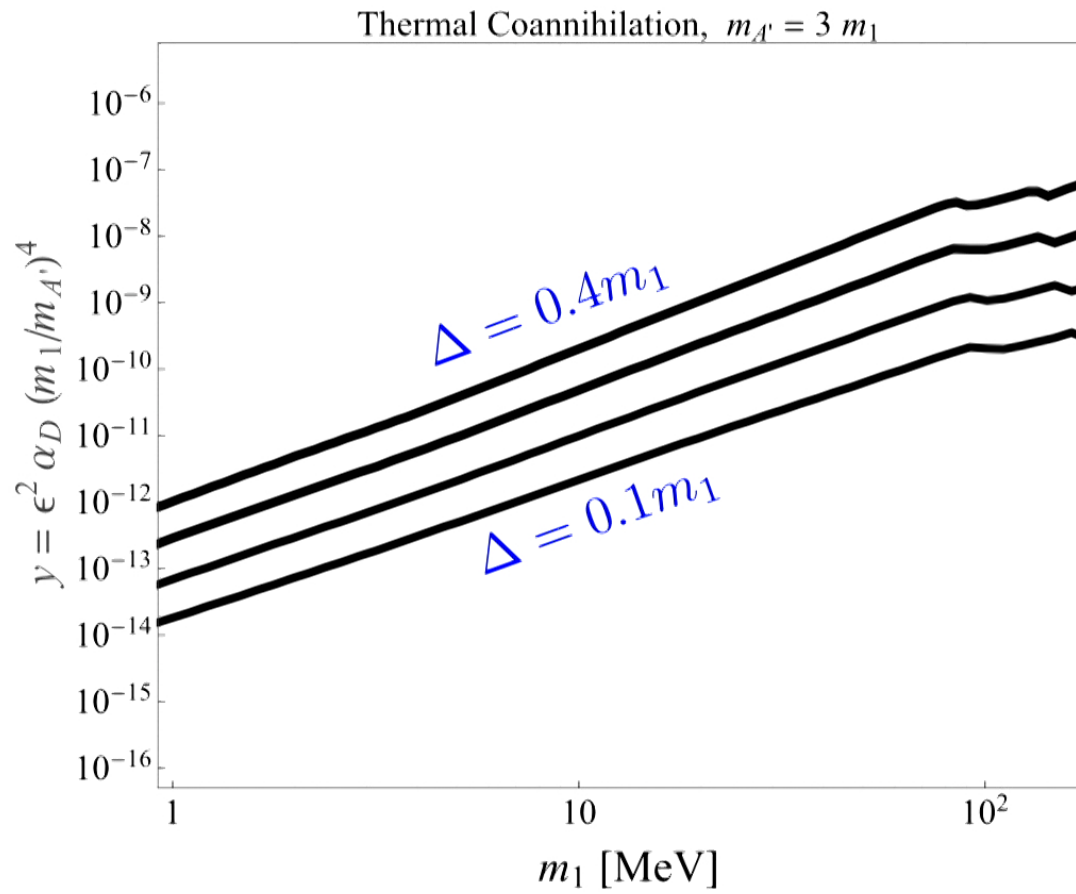
$$y = \alpha_D \epsilon^2 (m_1/m_{A'})^4$$

Co-annihilation most efficient when

$$\Delta = m_2 - m_1 \ll m_1$$

In this talk: Will focus on unexplored territory of MeV - GeV GeV

# Thermal Target

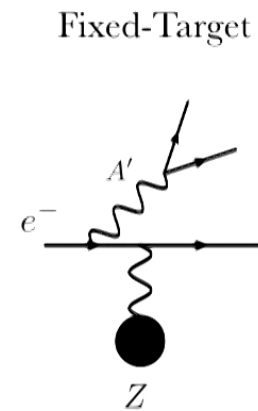
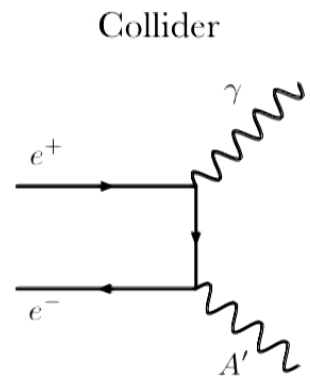


# What We Need is Tons of Collisions

Want to probe tiny couplings  
Need to increase  $N_{\text{signal}}$

$$N_{\text{signal}} = \text{Lum} \times \sigma_{\text{prod}} \times P_{\text{det}}$$

Two possibilities: collider or fixed-target

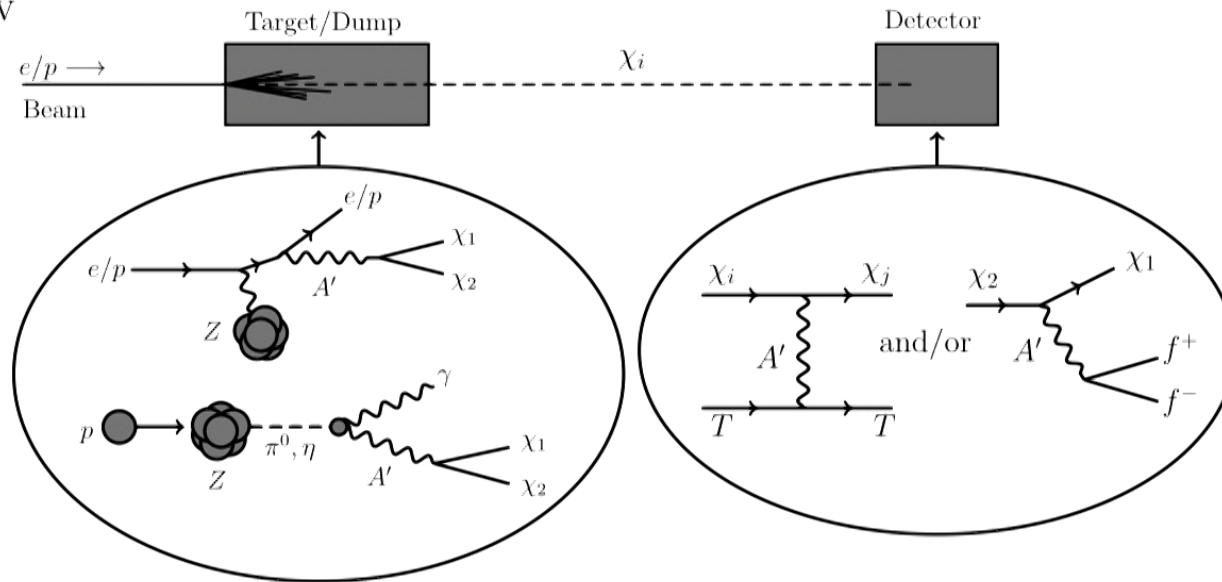




# Approach 1: Beam-Dump Signatures

$$N_{e/p} \sim 10^{20-22}$$

$$E_{e/p} \sim 10 \text{ GeV}$$



# Approach 1: Beam-Dump Signatures

## Proton facilities

LSND (past)

deNiverville, Pospelov, Ritz, 2011

MiniBoone (present near future)

MiniBoone cn 1702.02688

SBN (future)

## Electron facilities

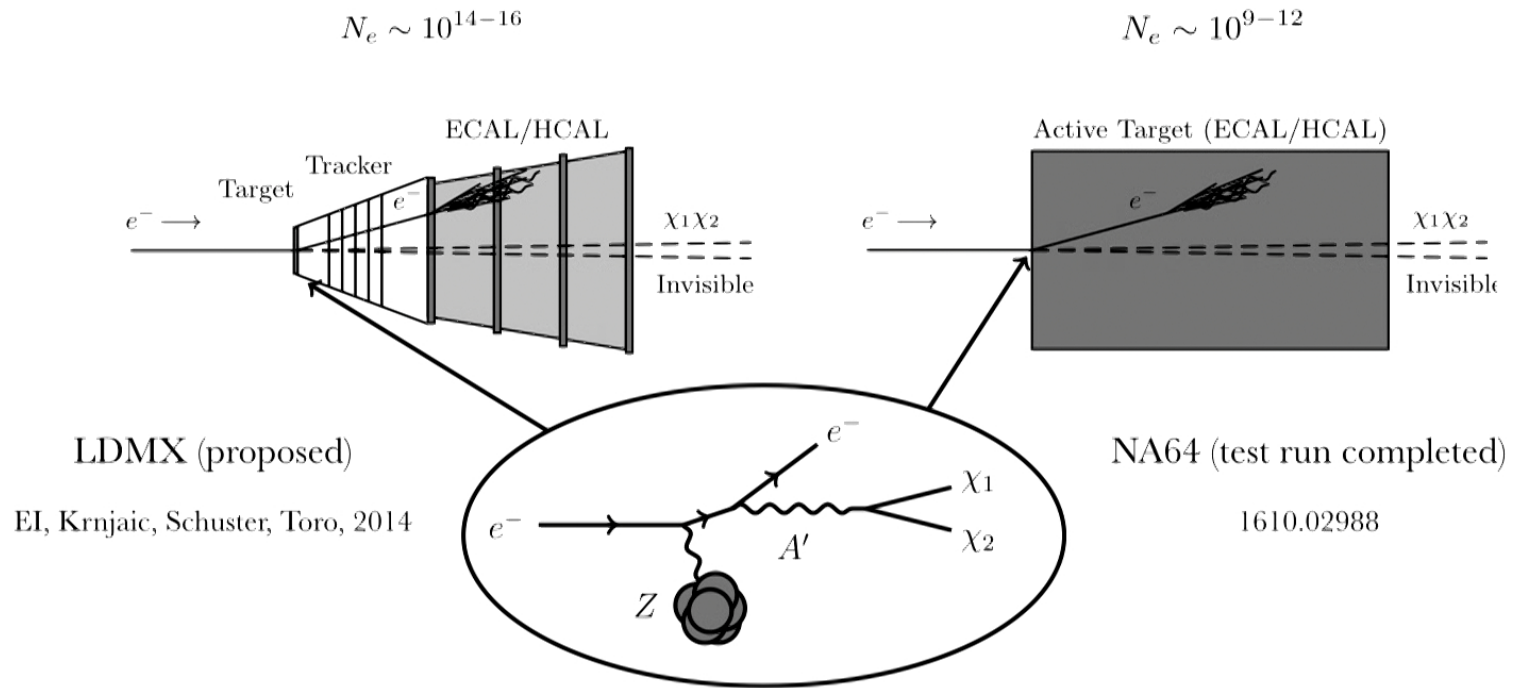
E137 (past)

Batell, Essig, Surujon, 2014

BDX (proposed)

1607.0390

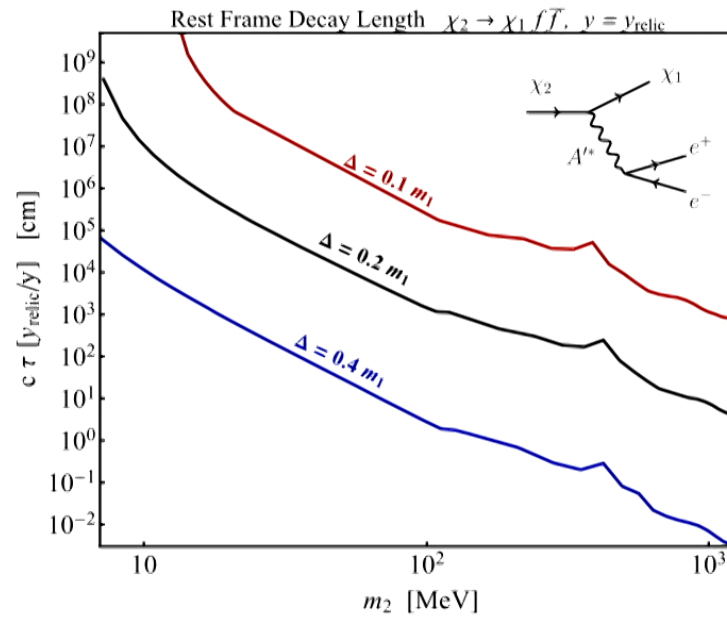
# Approach 2: Missing Energy Signatures



# Decay vs Scattering Signals

$$R \equiv \frac{P_{\text{decay}}}{P_{\text{scatter}}} \simeq \frac{\Delta^5}{60\pi^2\gamma E_\chi m_e n_e}$$

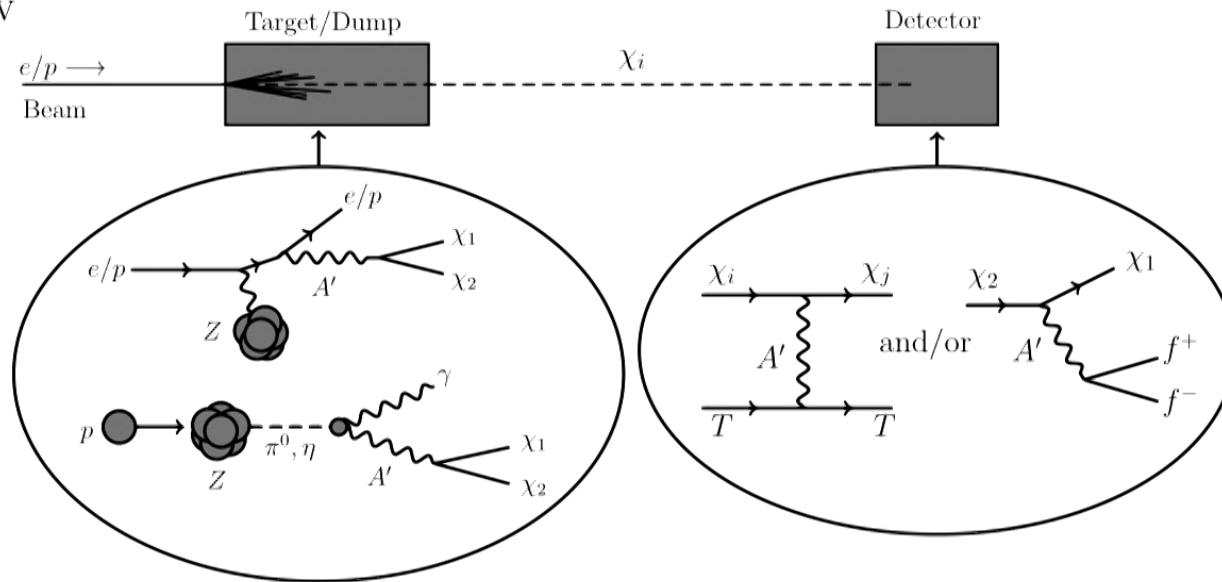
$$R \simeq 3 \left( \frac{m_1}{20 \text{ MeV}} \right) \left( \frac{\Delta}{0.1 m_1} \right)^5 \left( \frac{10 \text{ GeV}}{E_\chi} \right)^2$$



# Approach 1: Beam-Dump Signatures

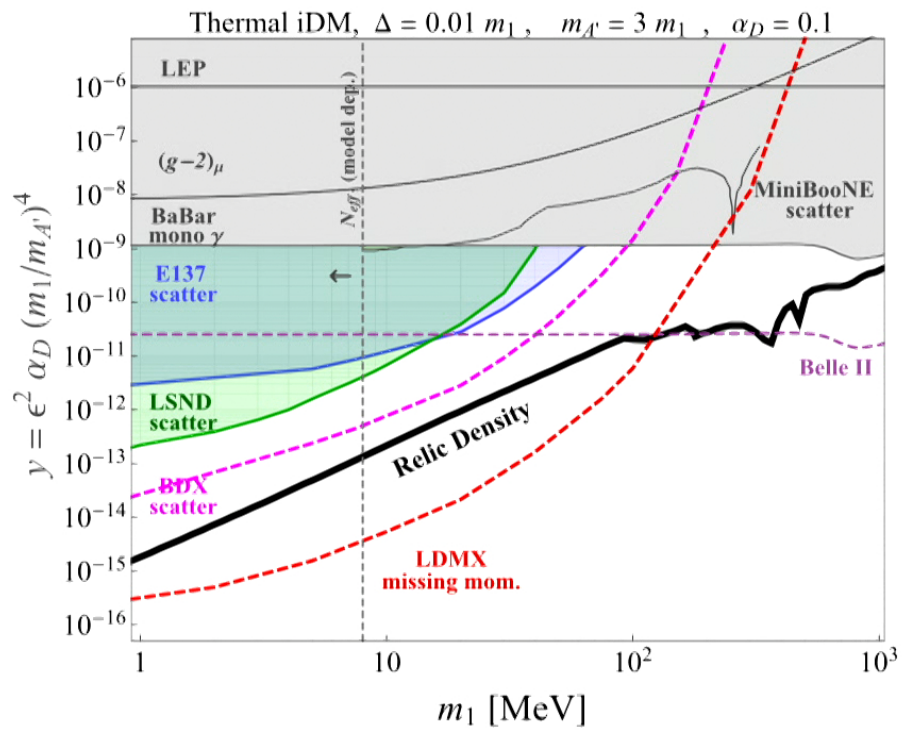
$$N_{e/p} \sim 10^{20-22}$$

$$E_{e/p} \sim 10 \text{ GeV}$$



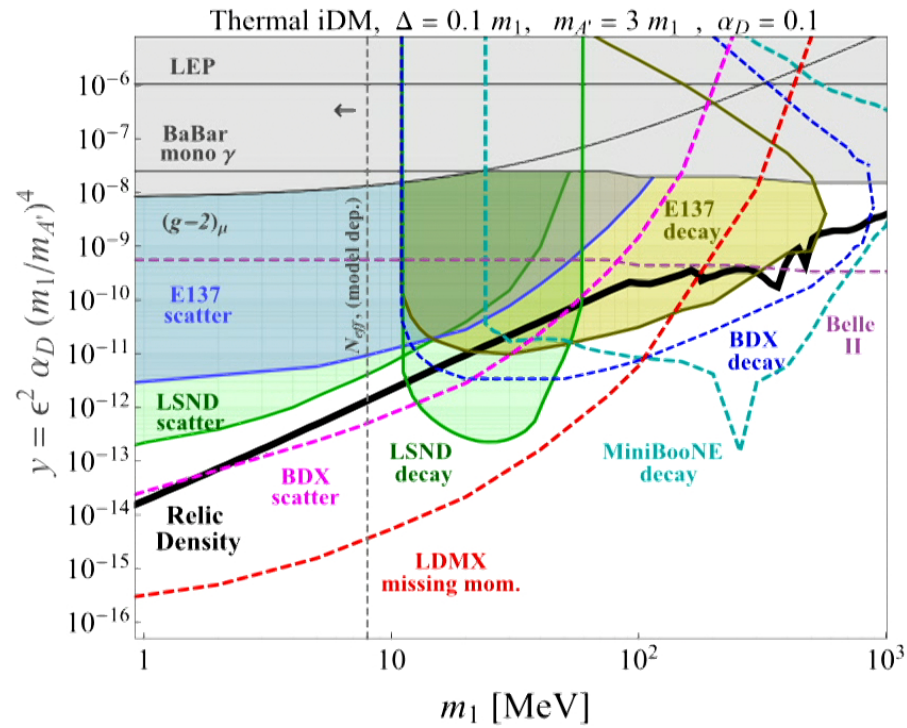
# Small Splittings: 1%

Only scattering allowed



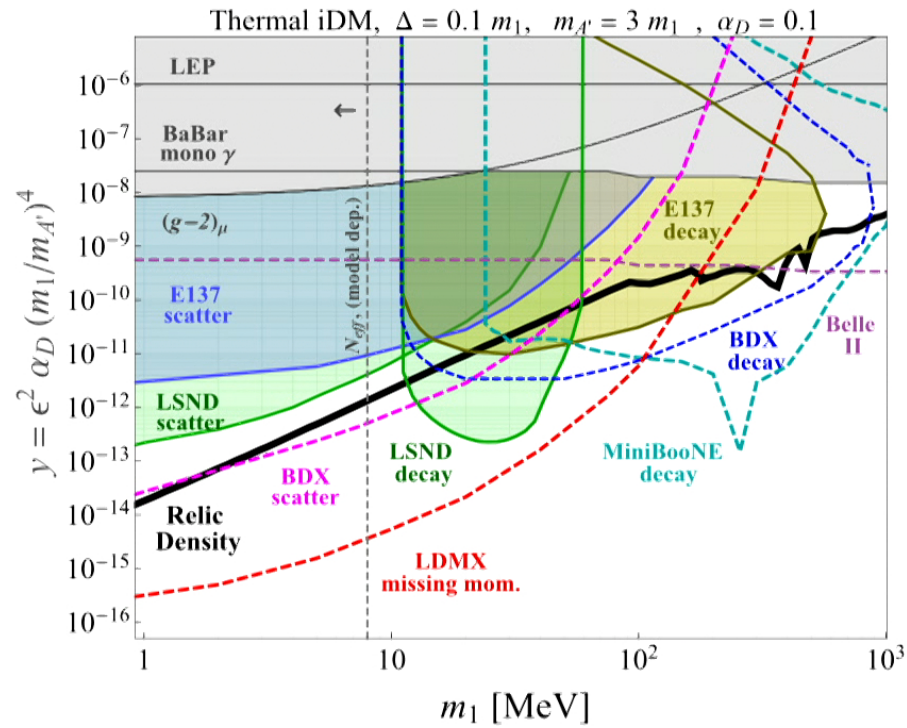
# Moderate Splittings: 10%

Scattering and decays allowed



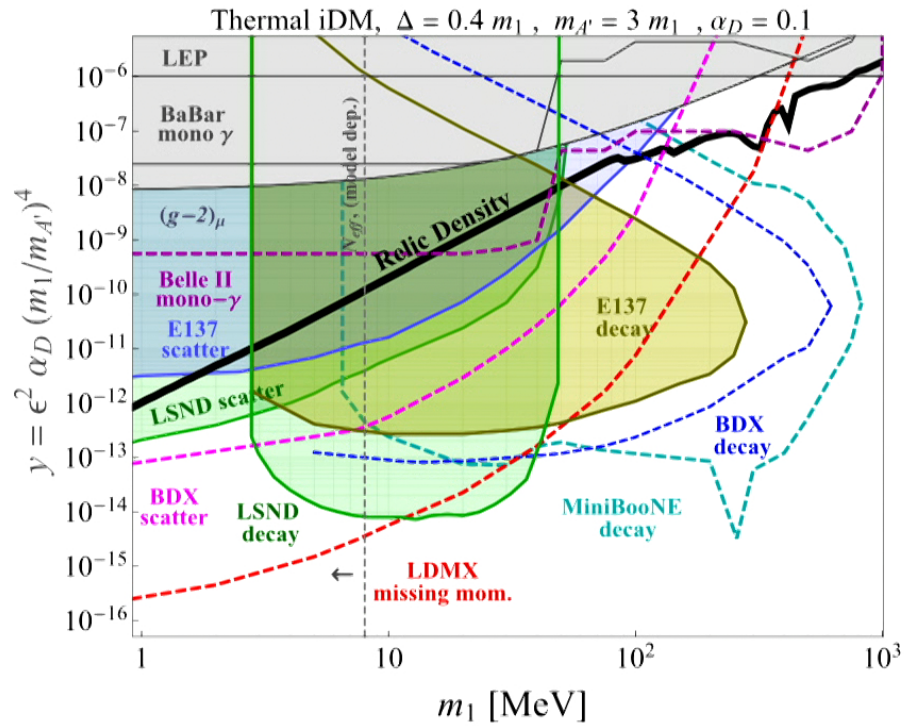
# Moderate Splittings: 10%

Scattering and decays allowed





# Moderate Splittings: 40%



# Conclusions

Fixed-target experiments are awesome

