

Title: PSI 2015/2016 Foundations of Quantum Mechanics - Lecture 4

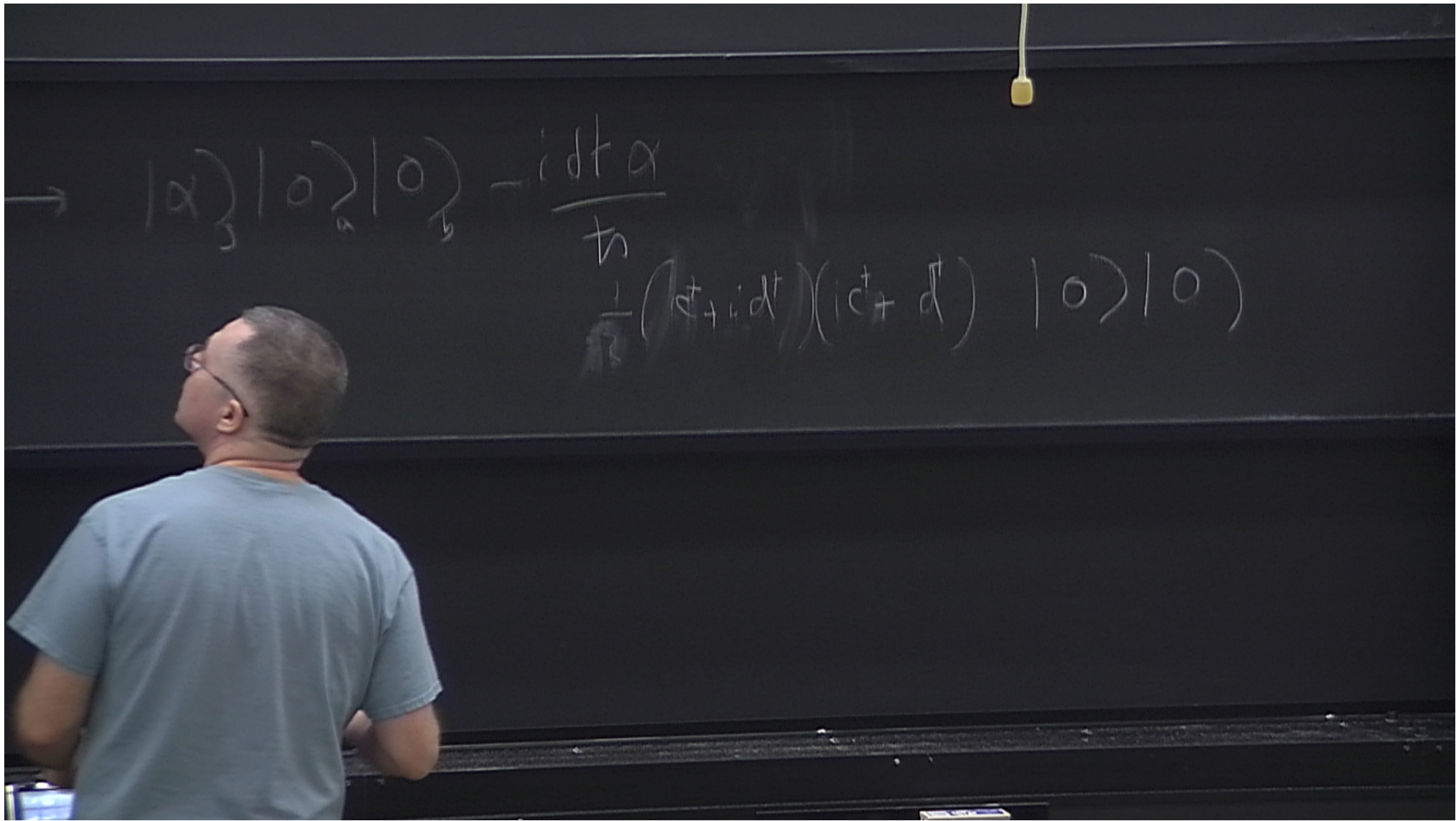
Date: Jan 07, 2016 11:30 AM

URL: <http://pirsa.org/16010057>

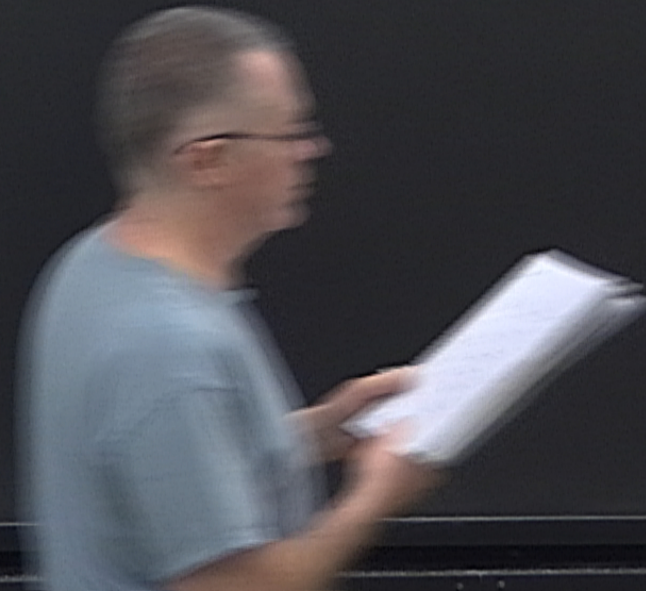
Abstract:

$$|\alpha\rangle_s |0\rangle_a |0\rangle_b = |\alpha\rangle_s |0\rangle_a |0\rangle_b - \frac{i\hbar\alpha}{\hbar} |\alpha\rangle_s |1\rangle_a |1\rangle_b$$





$$(c^\dagger + id^\dagger)(ic^\dagger + d^\dagger) = ic^\dagger c^\dagger + id^\dagger d^\dagger + (c^\dagger d^\dagger - d^\dagger c^\dagger)$$



$$d^\dagger)(i c^\dagger + d^\dagger) = i c^\dagger c^\dagger + i d^\dagger d^\dagger + \underbrace{(c^\dagger d^\dagger - d^\dagger c^\dagger)}_{=0}$$

$[c, d] = 0$

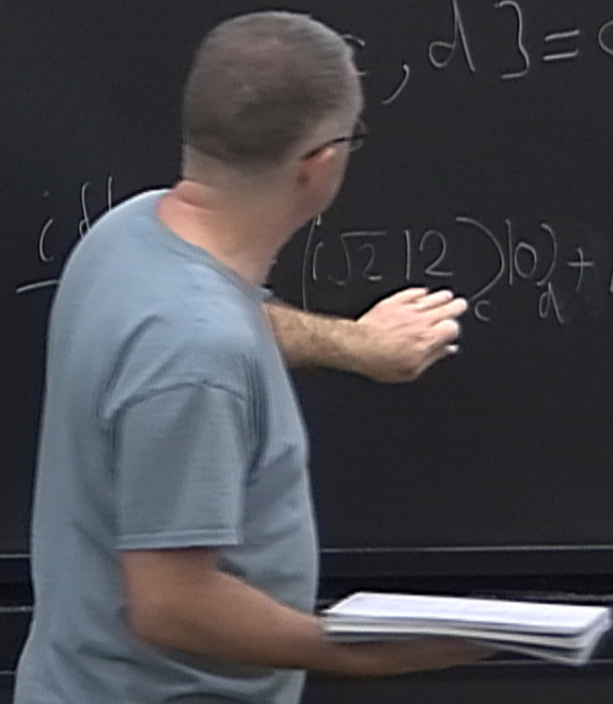
$$(c^\dagger + i d^\dagger)(i c^\dagger + d^\dagger) = i c^\dagger c^\dagger + i d^\dagger d^\dagger + (c^\dagger d^\dagger - d^\dagger c^\dagger)$$

state after BS =  $|\alpha\rangle_s |0\rangle_c |0\rangle_d$

$$c^\dagger + d^\dagger) = i(c^\dagger c^\dagger + id^\dagger d^\dagger) + \underbrace{(c^\dagger d^\dagger - d^\dagger c^\dagger)}_{=0}$$

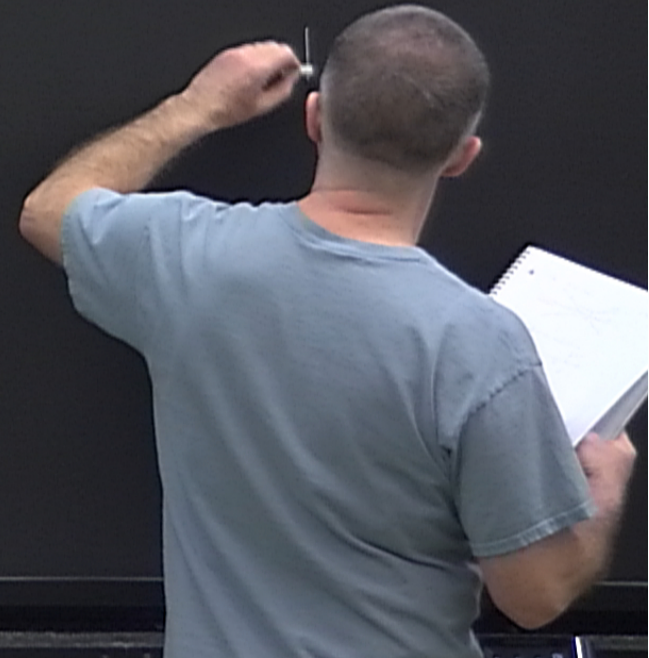
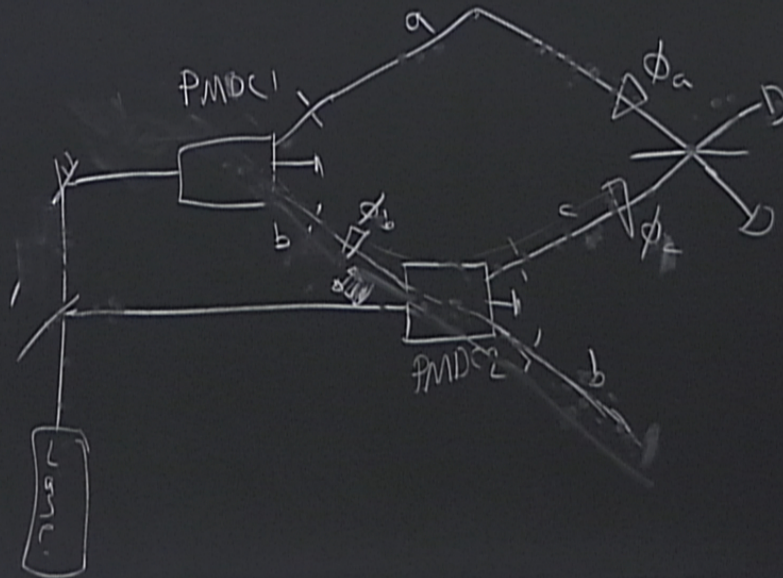
$$\{c, d\} = 0$$

$$BS = | \alpha \rangle_s | 0 \rangle_c | 0 \rangle_d - \frac{i \alpha}{\sqrt{2}} ( \sqrt{2} | 2 \rangle_c | 0 \rangle_d + i \sqrt{2} | 0 \rangle_c | 2 \rangle_d )$$



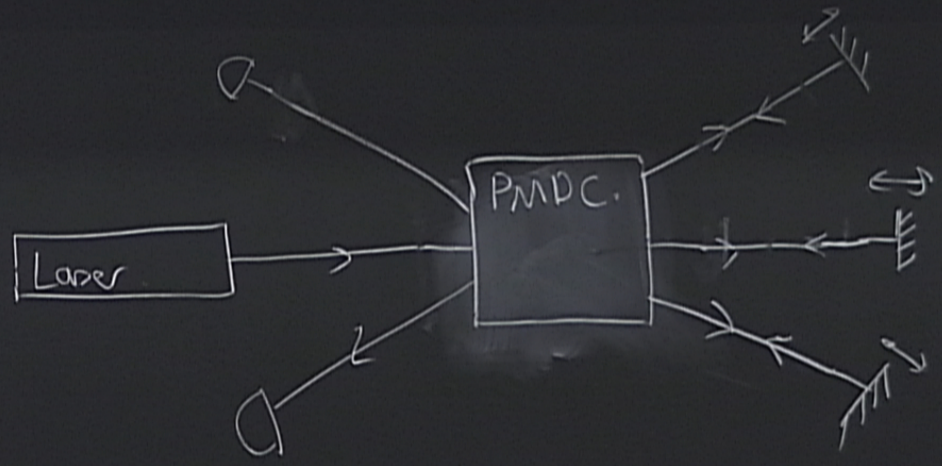
Hong, An, Mandel.

1991 Zou Wang Mandel.

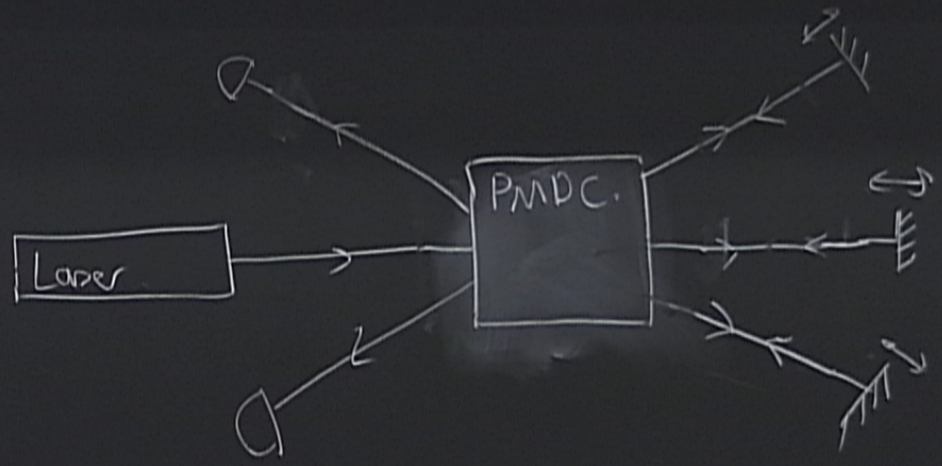




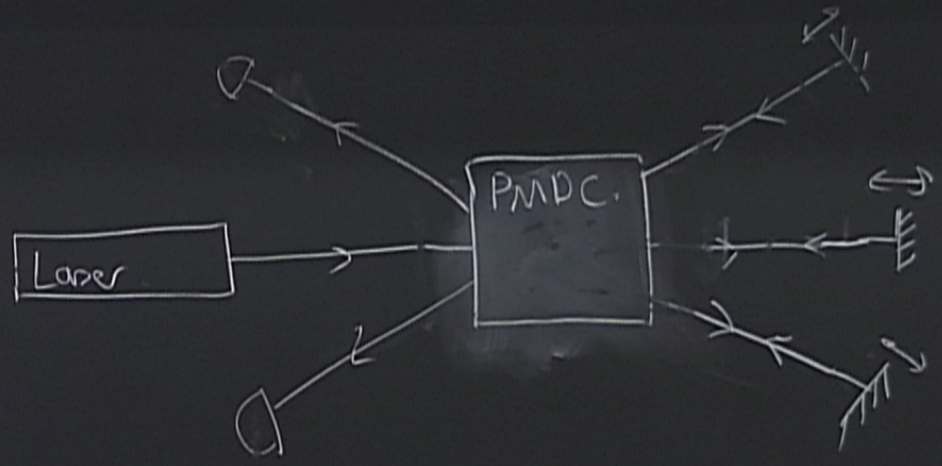
ng, an, Mandel .



ng, an, Mandel .



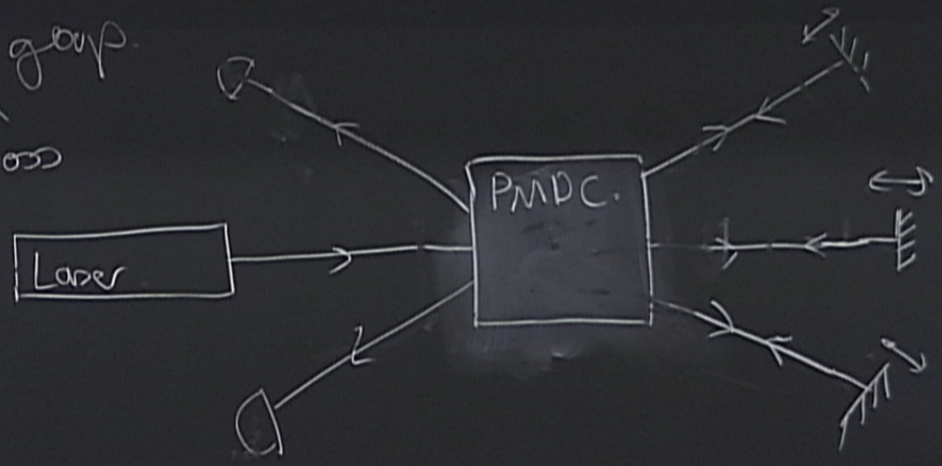
ng, Or, Mandel .



$$\alpha e^{i\phi} |1\rangle|1\rangle + \alpha |1\rangle|1\rangle$$

ng, An, Mandel .

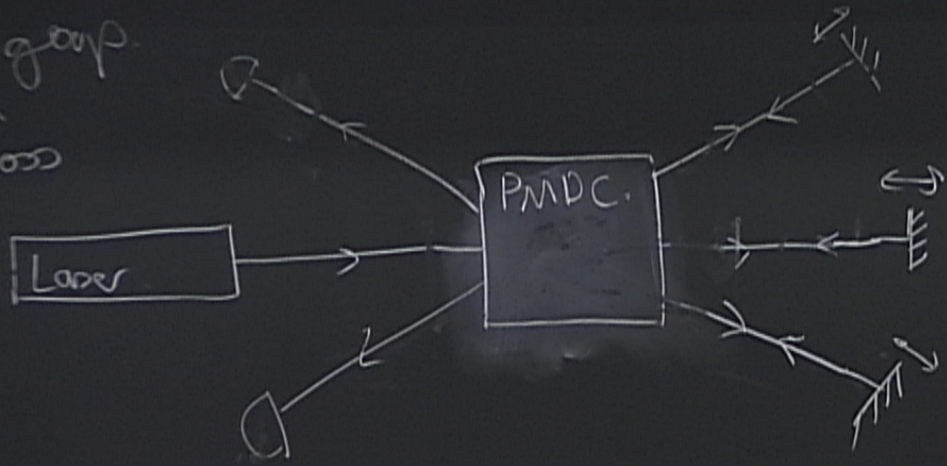
Zeitinger's group  
The Troll (fail - 035)



$$\alpha e^{i\phi} (|1\rangle|1\rangle) + \alpha (|1\rangle|1\rangle)$$



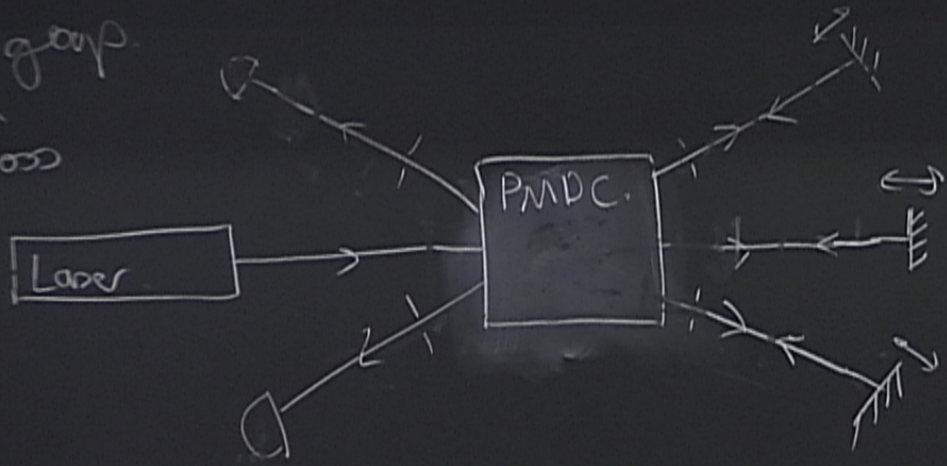
group  
tail  
-000



$$\alpha e^{i\theta} |1\rangle|1\rangle + \alpha |1\rangle|1\rangle$$

$$|2\alpha|^2 = 4|\alpha|^2$$
$$|\alpha|^2 + |\alpha|^2 \quad 2|\alpha|^2$$

group  
tail  
-033



$$\alpha e^{i\phi} |1\rangle|1\rangle + \alpha |1\rangle|1\rangle$$

$$|2\alpha|^2 = 4|\alpha|^2$$
$$|\alpha|^2 + |\alpha|^2 \quad 2|\alpha|^2$$

1927 Einstein's Remarks at Solvay Cont.

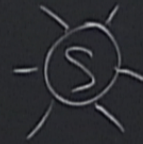
1927 Einstein's Remarks at Solvay Cont.

Baccagalupi Valentini



1927 Einstein's Remarks at Solvay Cont.

Bon'ocjalupi Valentini

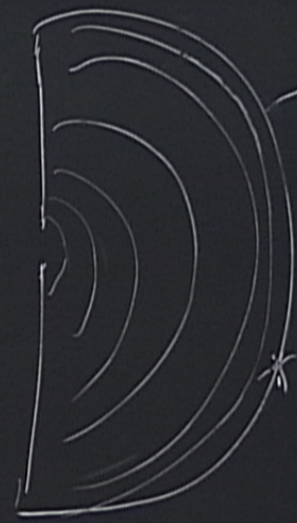


scintilla

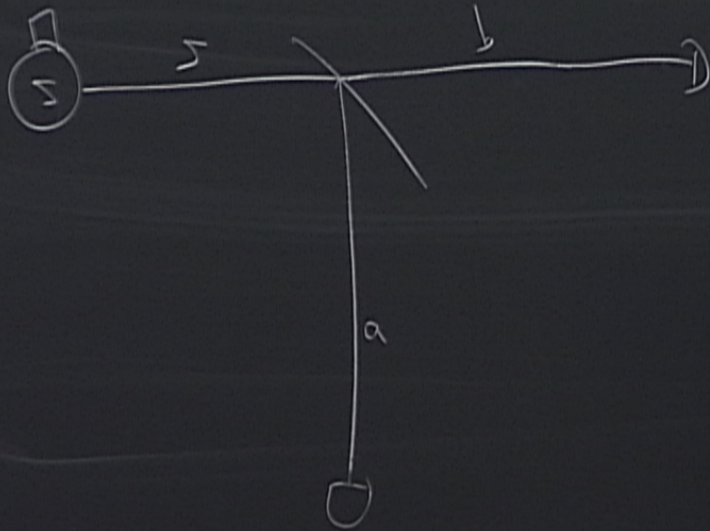
Notes Remarks at Solvay Cont.

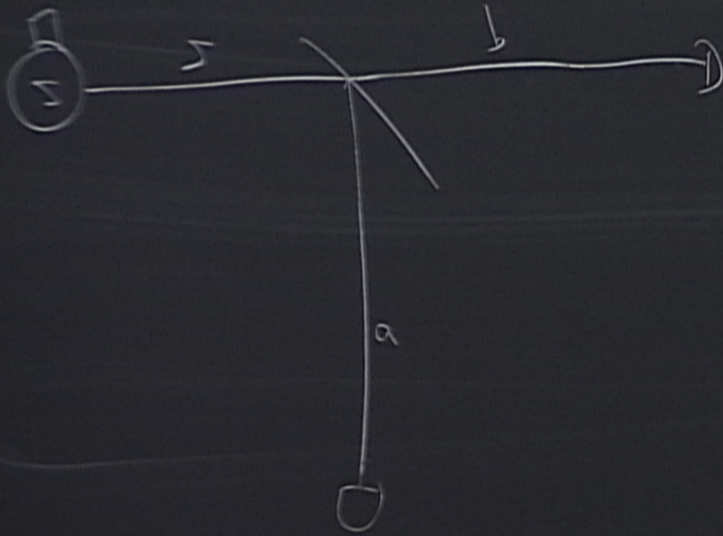
Spooky action  
at a distance.

Alupi Valentini



scintillation  
screen





From 935

Completeness

In a complete th

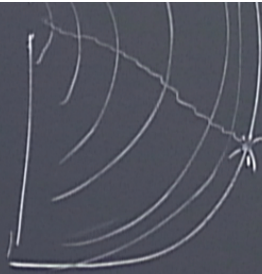
From PRS

Completeness

In a complete theory "every element of physical reality must have a counterpart in the physical theory"

$\psi$ -completeness

elements of :



From PRS

→ Completeness

In a complete theory "every element of physical reality must have a counterpart in the physical theory"

$\psi$ -completeness. All epr's follow from the state vector.

Sufficient condition  
for the existence of an epr: It, without in any way disturbing a system, we

Sufficient condition  
for the existence of an epr: "If, without in any way disturbing a system, we  
(i.e. with probability equal to unity) the  
then  $\exists$  an epr corresponding to

We can write this as

$$\text{if } \text{prob} \left( (A=\alpha)_a \mid (B=\beta)_b \right) = 1 \text{ and it m}$$



sufficient condition  
for the existence of an epr: "If, without in any way disturbing a system, we can  
(i.e. with probability equal to unity) the value  
then  $\exists$  an epr corresponding to this qua

We can write this as

if  $\text{prob} \left( (A=\alpha)_a \mid (B=\beta)_b \right) = 1$  and if meas of  $B$  does not disturb

probability equal to unity) the value of a physical quantity  
an epr corresponding to this quantity."

$\rho_B = I$  and if meas of  $B$  does not disturb  $A$  then  $\exists$  an epr  $[A =$

FRS

completeness

In a complete theory "every element of physical reality  
must have a counterpart in the physical theory"

All epr's follow from the state vector.

} an epr  $[A = \alpha]_a$

1)  $\{ \alpha | 1 \rangle | 1 \rangle$

we have

$$\text{prob} \left( \left( A = \begin{pmatrix} 1 \\ 0 \end{pmatrix} \right)_a \mid \left( B = \begin{pmatrix} 0 \\ 1 \end{pmatrix} \right)_b \right) = 1$$

we have

$$\text{prob} \left( (A=1)_a \mid (B=0)_b \right) = 1$$

$\Rightarrow \exists$  an epr either  $(A=0)_a$  or  $(A=1)_a$

we have

$$\text{prob} \left( (A=1)_a \mid (B=0)_b \right) = 1$$

$\Rightarrow \exists$  an epr either  $(A=0)_a$  or  $(A=1)_a$

but the quantum state (when we don't measure)

$$\text{is } |\psi\rangle = \frac{1}{\sqrt{2}} (|a\rangle + |b\rangle)$$

But  $\langle \psi | \hat{P}_{A=\alpha} | \psi \rangle = \frac{1}{2}$