

Title: Can We Identify the Theory of Dark Matter with Direct Detection?

Date: Dec 08, 2015 11:00 AM

URL: <http://pirsa.org/15120010>

Abstract: <p>In light of the upcoming Generation 2 (G2) direct-detection experiments attempting to record dark matter scattering with nuclei in underground detectors, it is timely to inquire about their ability to single out the correct theory of dark-matter-baryon interactions, in case a signal is observed. I will present a recent study in which we perform statistical analysis of a large set of direct-detection simulations, covering a wide variety of operators that describe scattering of fermionic dark matter with nuclei. I will show that a strong signal on G2 xenon and germanium targets has enough discrimination power to reconstruct the momentum dependence of the interaction, ruling out entire classes of models. However, zeroing in on a correct UV completion will critically depend on the availability of measurements from a wide variety of nuclear targets (including iodine and fluorine) and on the availability of low energy thresholds. This study quantifies complementarity amongst different experimental designs and targets, and provides a roadmap for future data analyses. It also highlights the critical need for bringing in information from all available probes in dark matter studies.</p>

Identifying the theory of dark matter with direct detection

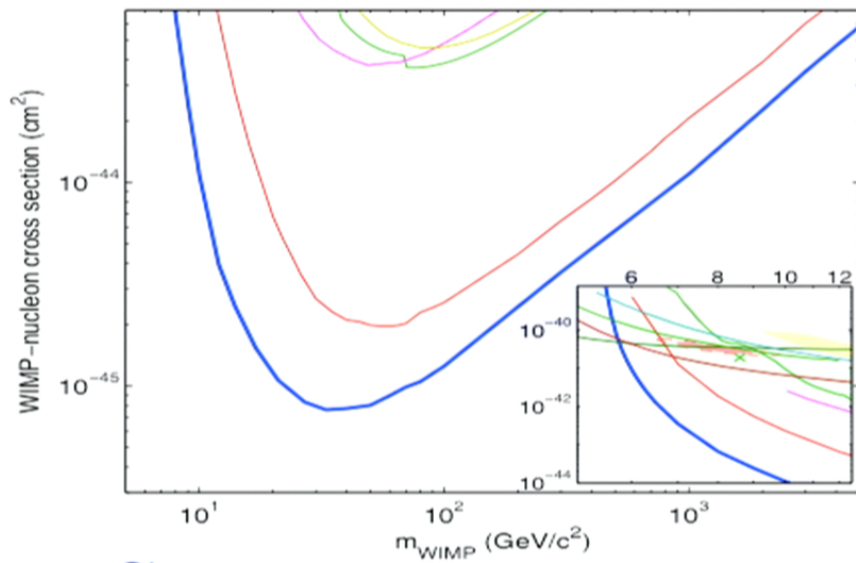
1506.04454v1 (accepted to JCAP)
1406.7008v2 (JCAP)

Vera Gluscevic
Institute for Advanced Study

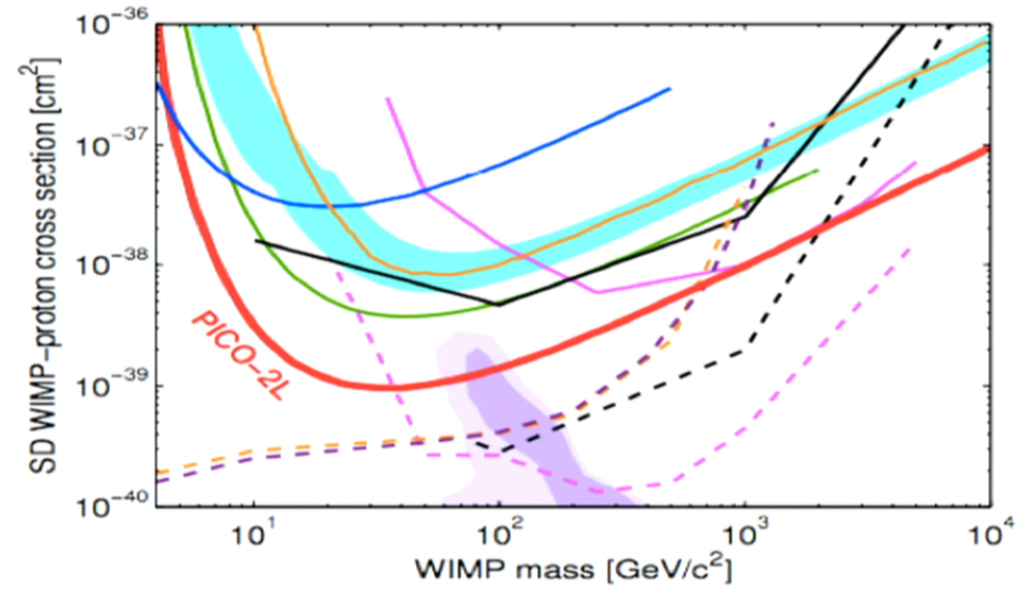
with: Samuel McDermott, Annika Peter, Kathryn Zurek, and Moira Gresham

Perimeter Institute Cosmology Seminar, 2015.

Status

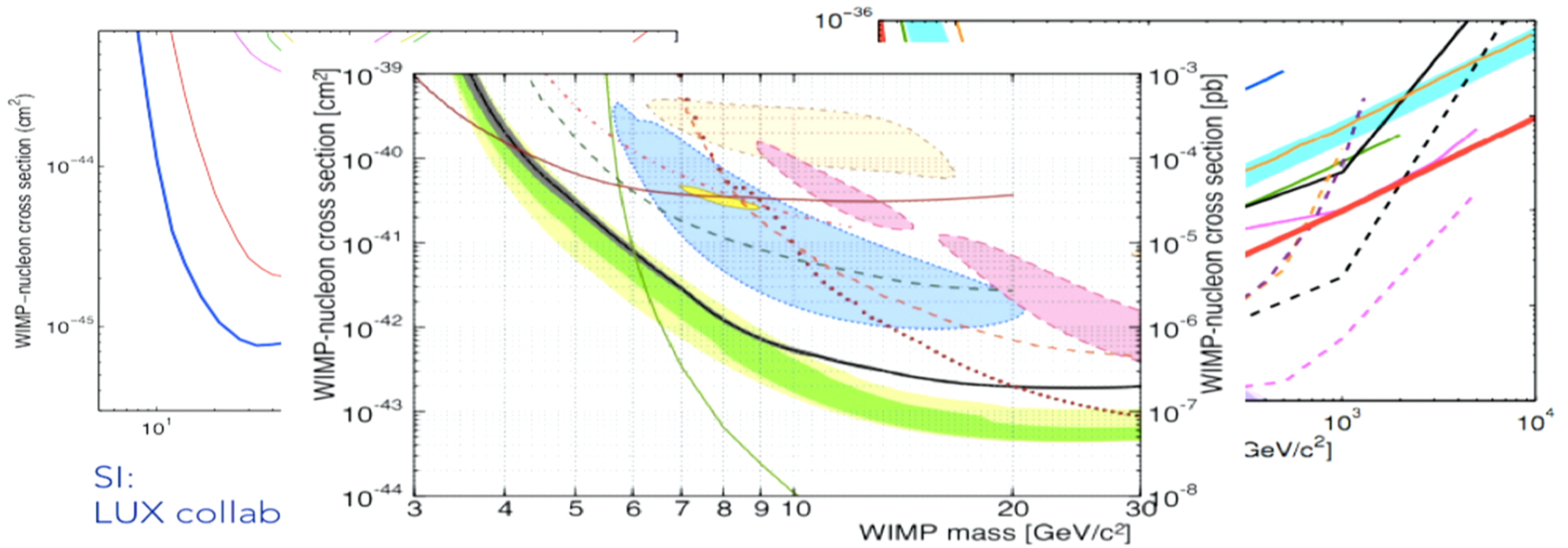


SI:
LUX collaboration, PRL 2014



SD:
PICO 2L, PRL 2015

Status

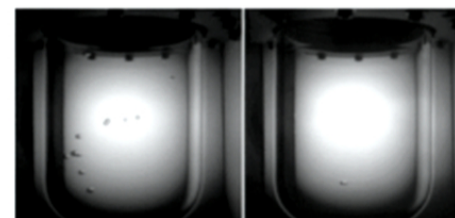
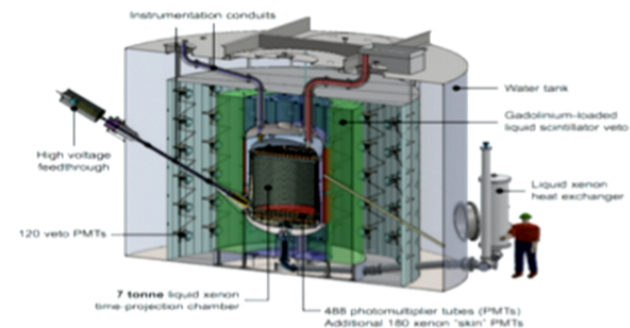


SI:
LUX collab

SI:
SuperCDMS & CDMSlite 2014

Going forth...

- ✓ Time-projection chambers with liquid noble gases (LZ, Xenon: Xe)
- ✓ Cryogenic semiconductors with solid-state targets (SuperCDMS: Ge+Si)
- ✓ Scintillating crystals (ANAIS, SABRE, KIMS: NaI)
- ✓ Bubble chambers (PICO: CF3I)



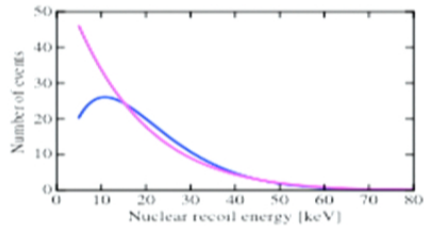
Broad scope:

What can we really learn about dark matter *parameters and interactions* from direct detection?

DM-nucleus elastic scattering

$$\frac{dR}{dE_R}(E_R) = \frac{\rho_\chi}{m_T m_\chi} \int_{v_{\min}}^{v_{\text{esc,lab}}} v f(\mathbf{v}) \frac{d\sigma_T}{dE_R}(E_R, v) d^3v.$$

DM-nucleus elastic scattering

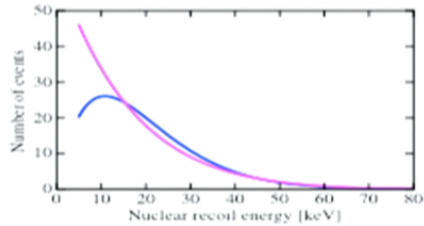


$$\frac{dR}{dE_R}(E_R) = \frac{\rho_\chi}{m_T m_\chi} \int_{v_{\min}}^{v_{\text{esc,lab}}} v f(\mathbf{v}) \frac{d\sigma_T}{dE_R}(E_R, v) d^3v.$$




“Observable”


DM-nucleus elastic scattering



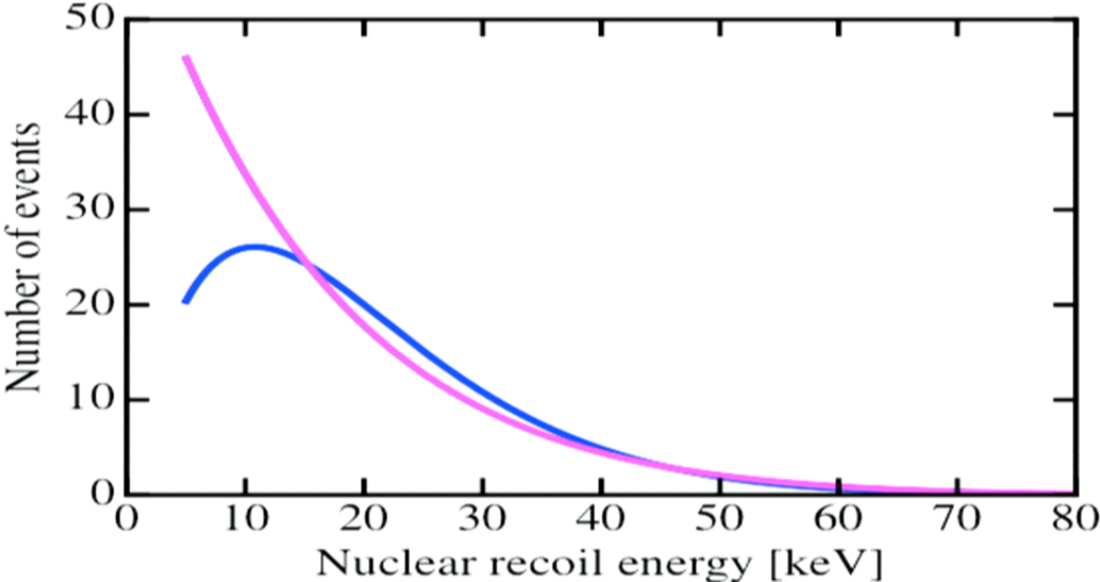
Astrophysics

$$\frac{dR}{dE_R}(E_R) = \frac{\rho_\chi}{m_T m_\chi} \int_{v_{\min}}^{v_{\text{esc,lab}}} v f(\mathbf{v}) \frac{d\sigma_T}{dE_R}(E_R, v) d^3v.$$

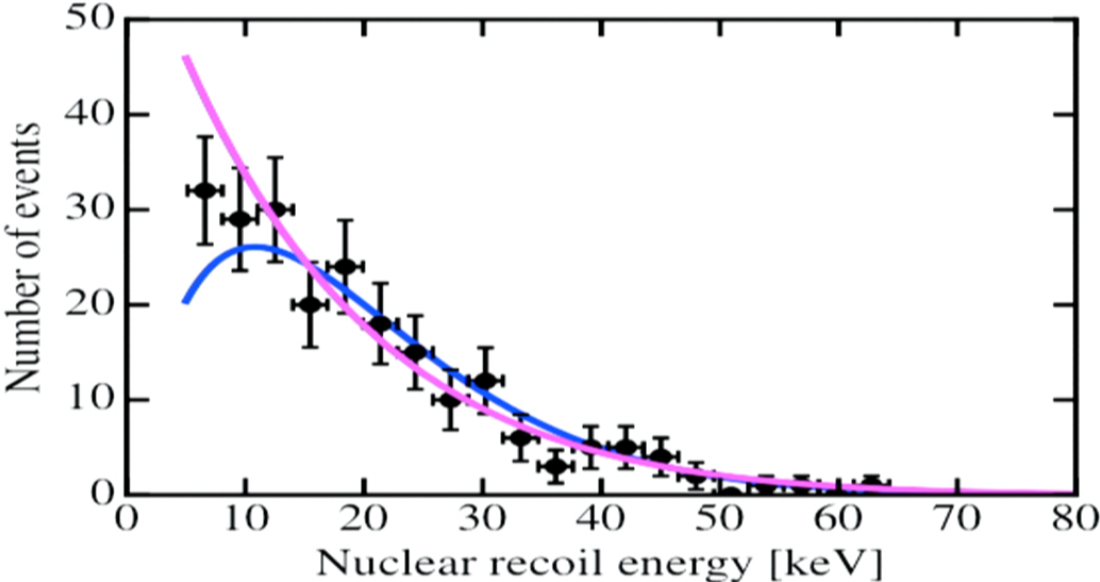

“Observable”


DM particle + nuclear physics

Context: noisy recoil-energy spectra



Context: noisy recoil-energy spectra



Main question:

How likely is direct detection to successfully identify the correct theory, and which experimental strategies maximize chances for success?

Ingredients

1. List of scattering models (**hypotheses**)
2. Statistical representation of possible experimental outcomes (**simulations**)
3. Analysis framework to compare models (**Bayesian model selection**)

The theory of DM...

Previous work: *Fan et al, 2010; Fitzpatrick et al, 2012; Anand et al, 2013; Gresham & Zurek, 2014; etc.*

Goal: Write down the most general form of DM-nucleon interaction, and embed it into the nucleus.

- Complete *list of non-relativistic operators* and mapping onto relativistic scattering operators
- *Nuclear responses* triggered by non-standard interactions ($M, \Sigma', \Sigma'', \Delta, \Phi''$)

The theory of DM...

$$\frac{d\sigma_T}{dE_R}(E_R, v) = \frac{m_T}{2\pi v^2} \sum_{(N, N')} \sum_X R_X(E_R, v, c_i^N, c_j^{N'}) \widetilde{W}_X^{(N, N')}(y)$$

Anand et al, 2013

DM response

Nuclear response

$$X \in \{M, \Sigma', \Sigma'', \Phi'', \Delta, M\Phi'', \Delta\Sigma'\}$$

$$(N, N') \in \{(p, p), (n, n), (p, n), (n, p)\}$$

$$y \equiv m_T E_R b^2 / 2$$

$$b \equiv \sqrt{41.467 / (45A^{-1/3} - 25A^{-2/3})} \text{ fm}$$

14 models

See also:
Gresham &
Zurek, 2014

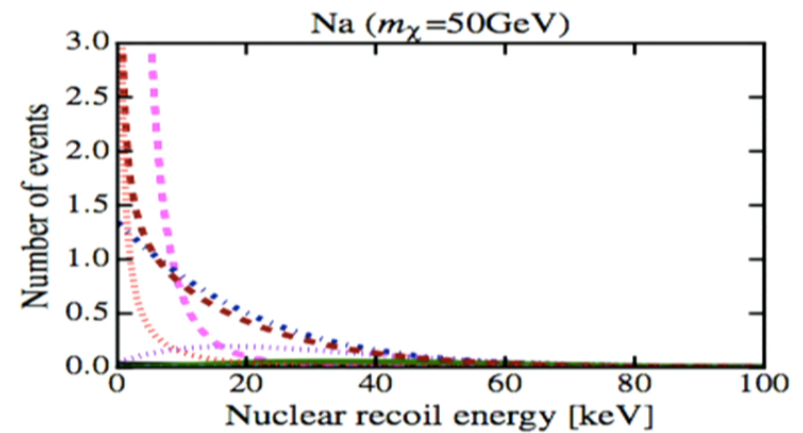
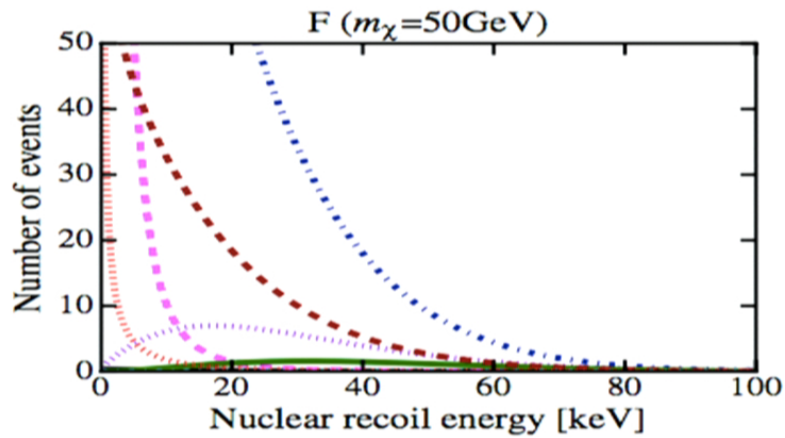
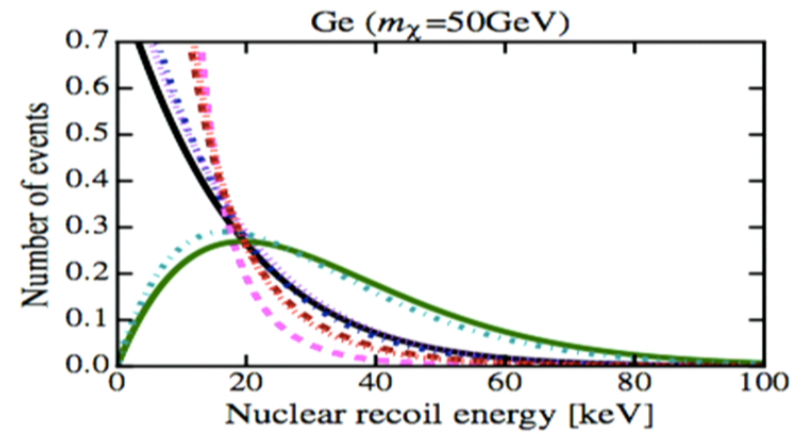
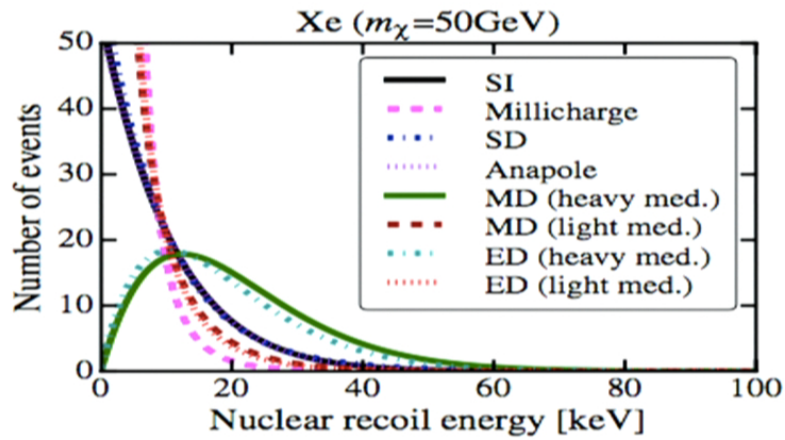
Model name	Lagrangian	\bar{q}, v Dependence	Response	f_n/f_p
SI	$\bar{\chi}\chi\bar{N}N$	1	M	+1
SD	$\bar{\chi}\gamma^\mu\gamma_5\chi\bar{N}\gamma_\mu\gamma_5N$	1	$\Sigma' + \Sigma''$	-1.1
Anapole	$\bar{\chi}\gamma^\mu\gamma_5\chi\partial^\nu F_{\mu\nu}$	$v^{\perp 2}$ \bar{q}^2/m_N^2	M $\Delta + \Sigma'$	photon like
Millicharge	$\bar{\chi}\gamma^\mu\chi A_\mu$	$m_N^2 m_\chi^2 / \bar{q}^4$	M	photon like
MD (light med.)	$\bar{\chi}\sigma^{\mu\nu}\chi F_{\mu\nu}$	$1 + \frac{v^{\perp 2} m_N^2}{\bar{q}^2}$ 1	M $\Delta + \Sigma'$	photon like
ED (light med.)	$\bar{\chi}\sigma^{\mu\nu}\gamma_5\chi F_{\mu\nu}$	m_N^2 / \bar{q}^2	M	photon like
MD (heavy med.)	$\bar{\chi}\sigma^{\mu\nu}\partial_\mu\chi\partial^\alpha F_{\alpha\nu}$	$\frac{\bar{q}^4}{\Lambda^4} + \frac{v^{\perp 2} m_N^2 \bar{q}^2}{\Lambda^4}$ \bar{q}^4 / Λ^4	M $\Delta + \Sigma'$	photon like
ED (heavy med.)	$\bar{\chi}\sigma^{\mu\nu}\gamma_5\partial_\mu\chi\partial^\alpha F_{\alpha\nu}$	$\bar{q}^2 m_N^2 / \Lambda^4$	M	photon like
SI_{q^2}	$i\bar{\chi}\gamma_5\chi\bar{N}N$	\bar{q}^2 / m_χ^2	M	+1
SD_{q^2} (Higgs-like/ flavor-univ.)	$i\bar{\chi}\chi\bar{N}\gamma_5N$	\bar{q}^2 / m_N^2	Σ''	+1 / - 0.05
SD_{q^4} (Higgs-like/ flavor-univ.)	$\bar{\chi}\gamma_5\chi\bar{N}\gamma_5N$	$\bar{q}^4 / m_\chi^2 m_N^2$	Σ''	+1 / - 0.05
$\vec{L} \cdot \vec{S}$ -like	$\bar{\chi}\gamma_\mu\chi\frac{\partial^2\bar{N}\gamma^\mu N}{m_N^2} +$ $+ \bar{\chi}\gamma_\mu\chi\frac{\partial_\nu\bar{N}\sigma^{\mu\nu}N}{2m_N}$	\bar{q}^4 / m_N^4 \bar{q}^4 / m_N^4 $\frac{\bar{q}^2 v^{\perp 2}}{m_N^2} + \frac{\bar{q}^4}{m_\chi^2 m_N^2}$	M Φ'' Σ'	+1

Experiments: G2+

Baseline
analysis

Label	A (Z)	Energy window [keV _{nr}]	Exposure [kg-yr]
Xe	131 (54)	5-40	2000
Ge	73 (32)	0.3-100	100
I	127 (53)	22.2-600	212
F	19 (9)	3-100	606
Na	23 (11)	6.7-200	38
Ar	40 (18)	25-200	3000
He	4 (2)	3-100	300
Xe(lo)	131 (54)	1-40	2000
Xe(hi)	131 (54)	5-100	2000
Xe(wide)	131 (54)	1-100	2000
I(lo)	127 (53)	1-600	212
XeG3	131 (54)	5-40	40 000
I+	127 (53)	1-600	424
F+	19 (9)	3-100	1200

Hypotheses:



Method: Bayesian inference

Posterior probability:
$$\mathcal{P}(\Theta|\{E_R\}, \mathcal{M}) = \frac{\mathcal{L}(\{E_R\}|\Theta, \mathcal{M})p(\Theta|\mathcal{M})}{\mathcal{E}(\{E_R\}|\mathcal{M})}$$

Likelihood:
$$\mathcal{L}(\{E_R\}|\Theta, \mathcal{M}) = P(N|\Theta, \mathcal{M}) \prod_{i=1}^N P_1(E_R^i|\Theta, \mathcal{M})$$

Evidence:
$$\mathcal{E}(\{E_R\}|\mathcal{M}) = \int d\Theta \mathcal{L}(\{E_R\}|\Theta, \mathcal{M})p(\Theta|\mathcal{M})$$

Method: Bayesian inference

$$\Pr(\mathcal{M}_j) = \frac{\mathcal{E}(\{E_R\}|\mathcal{M}_j)}{\sum_i \mathcal{E}(\{E_R\}|\mathcal{M}_i)} \quad \longrightarrow \quad \text{Model probability (given data)}$$

Method: Bayesian inference

$$\Pr(\mathcal{M}_j) = \frac{\mathcal{E}(\{E_R\}|\mathcal{M}_j)}{\sum_i \mathcal{E}(\{E_R\}|\mathcal{M}_i)} \quad \longrightarrow \quad \text{Model probability (given data)}$$

Success probability = percent of simulations in which the right model was selected with >90% probability.

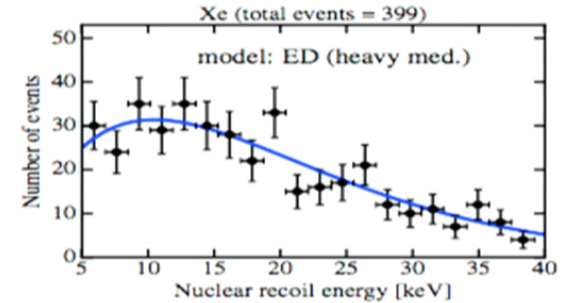
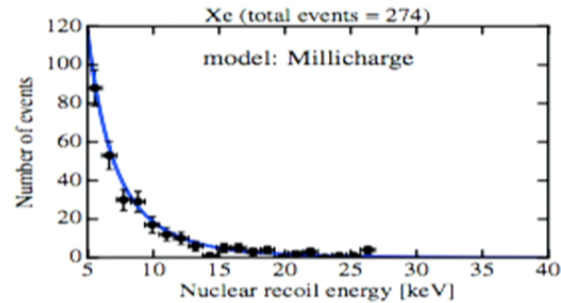
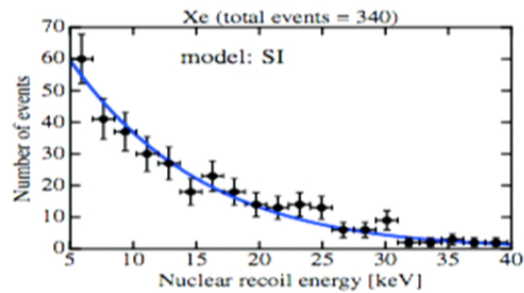
Method: Bayesian inference

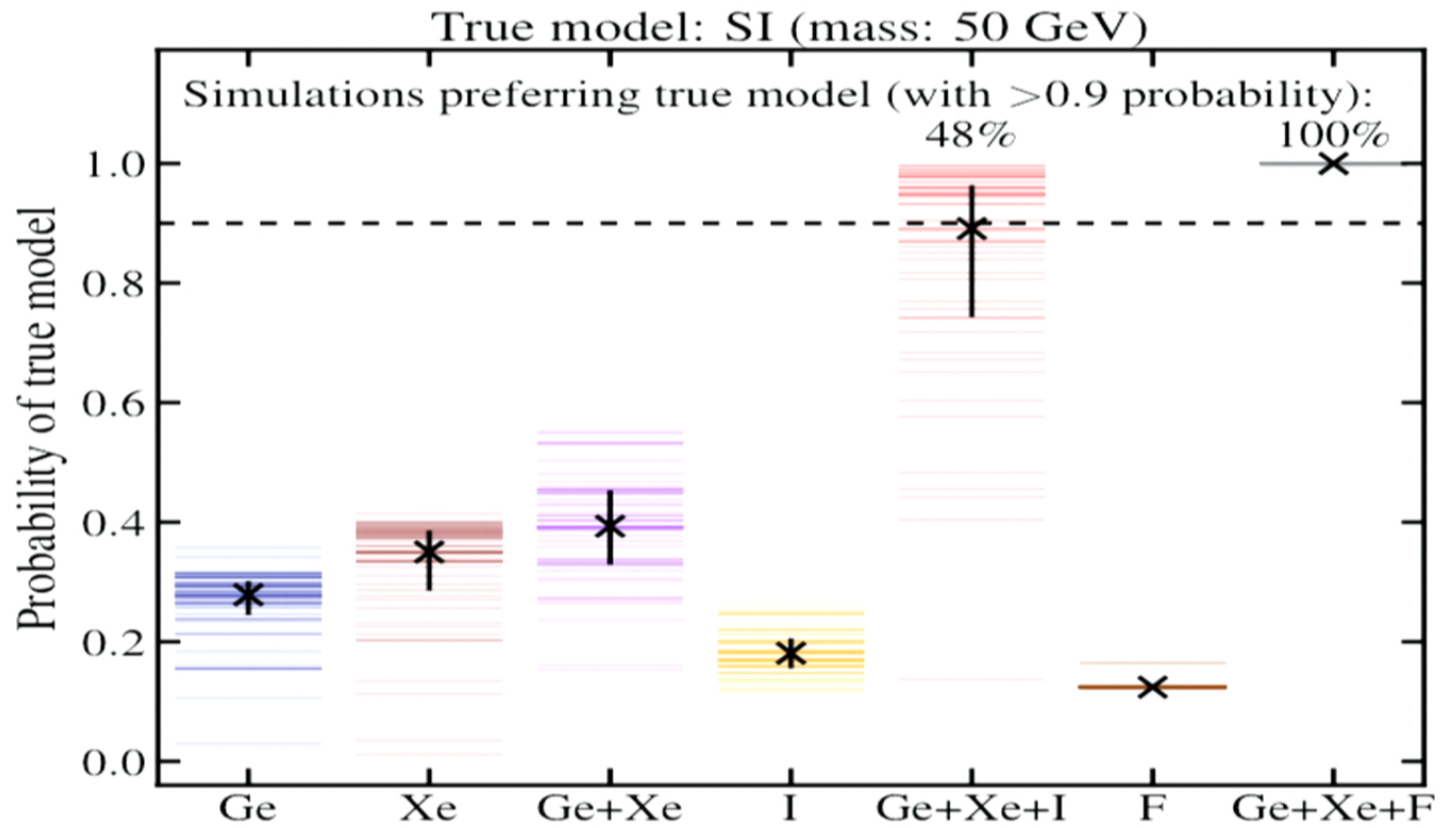
$$\Pr(\mathcal{M}_j) = \frac{\mathcal{E}(\{E_R\}|\mathcal{M}_j)}{\sum_i \mathcal{E}(\{E_R\}|\mathcal{M}_i)} \quad \longrightarrow \quad \text{Model probability (given data)}$$

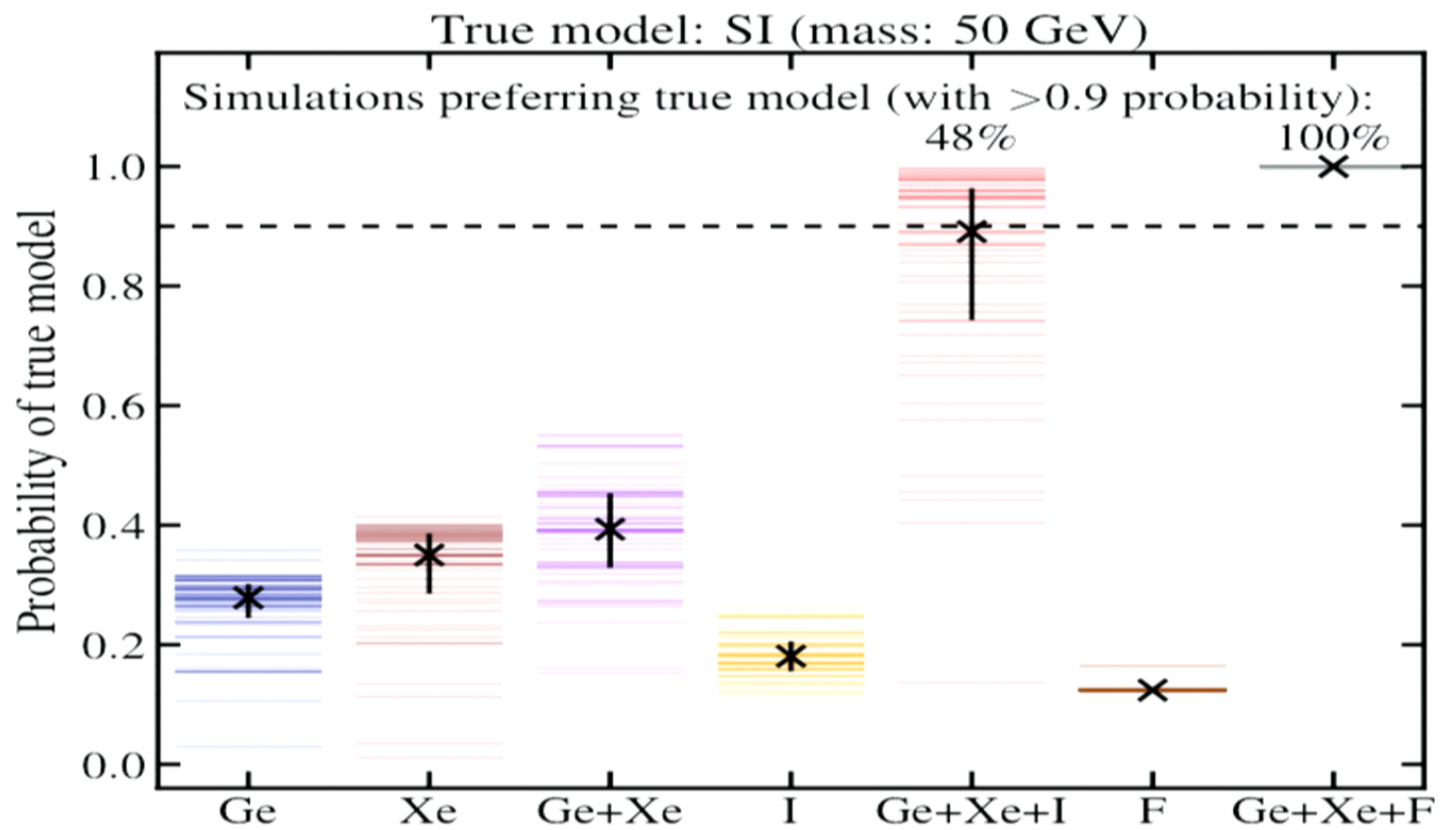
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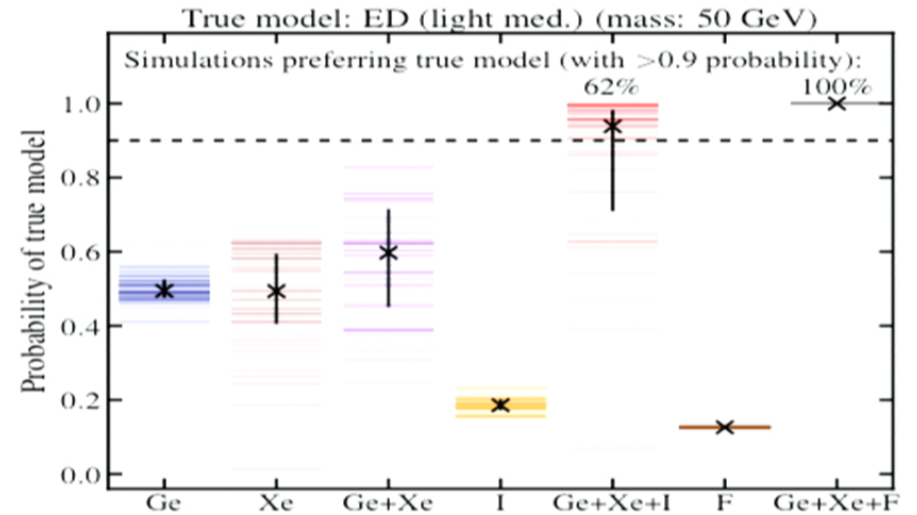
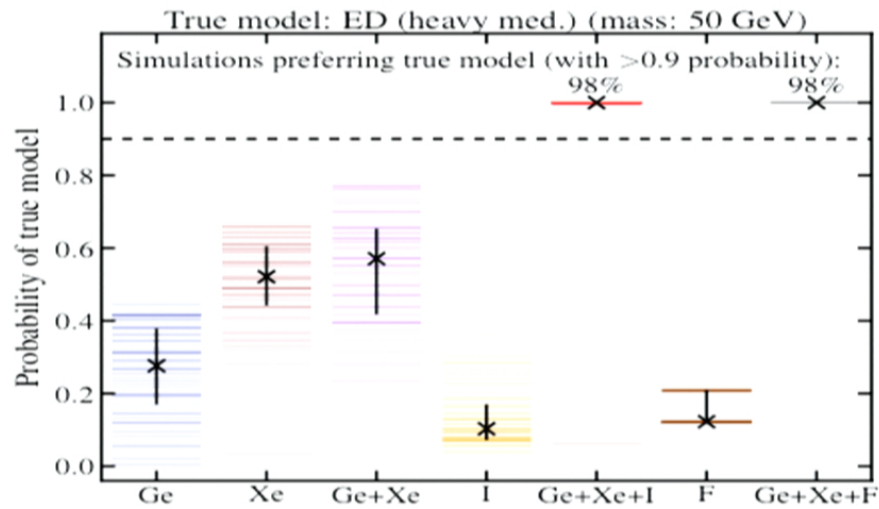
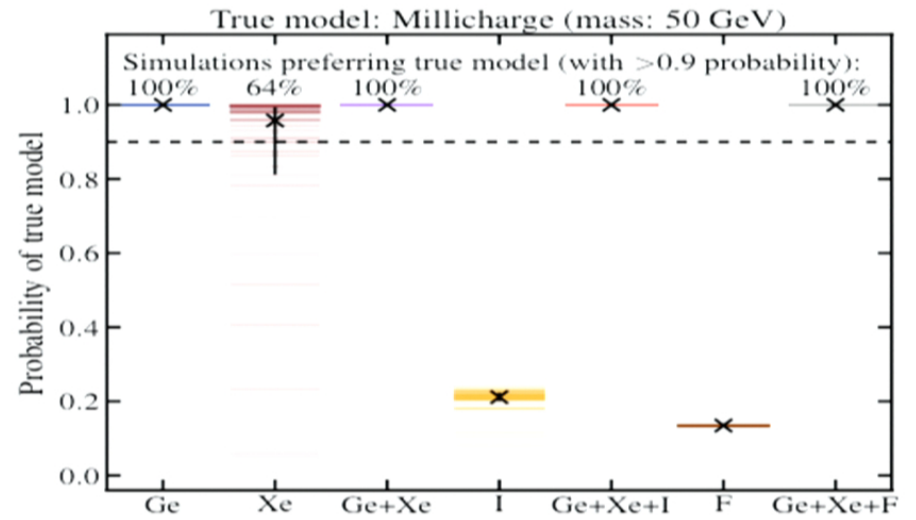
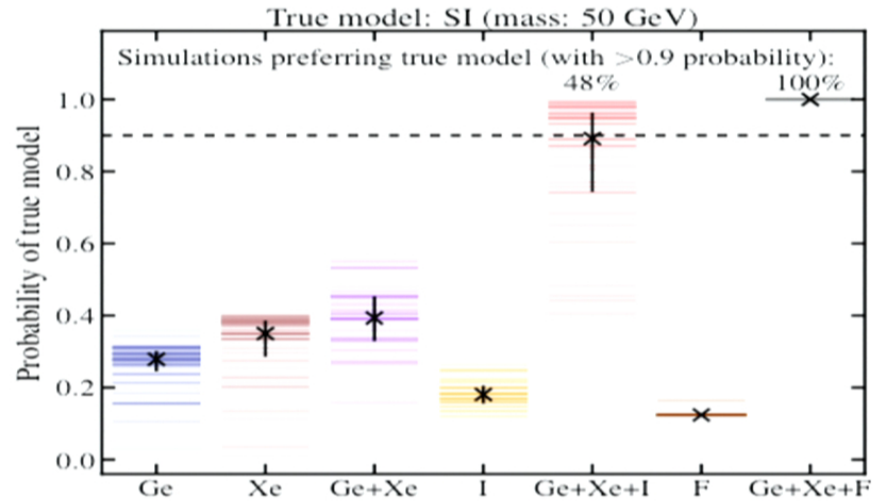
Analysis:

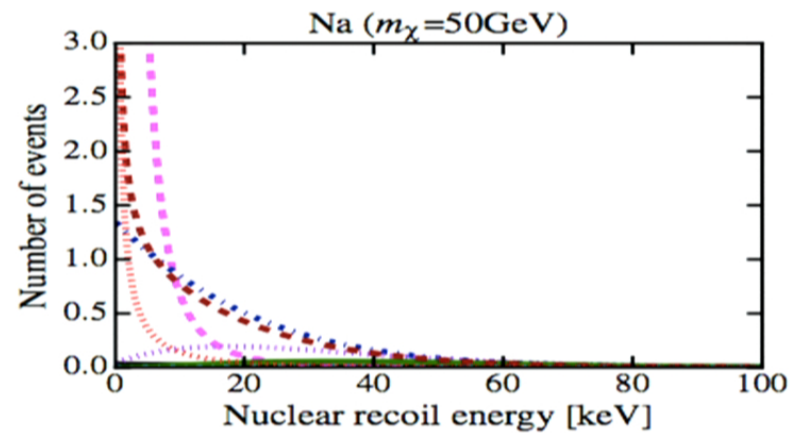
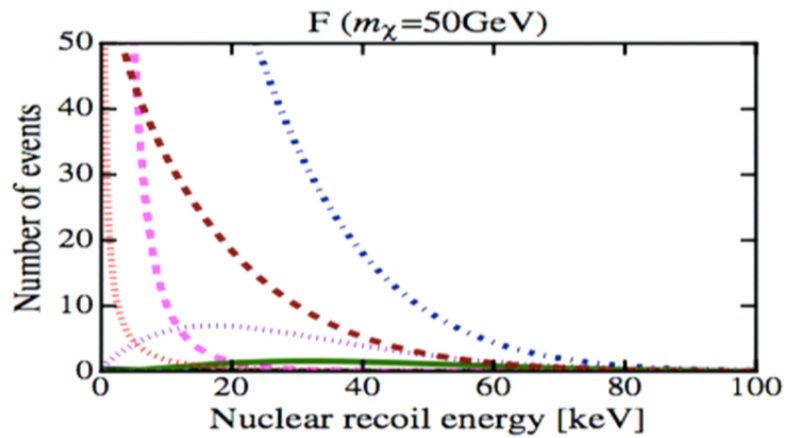
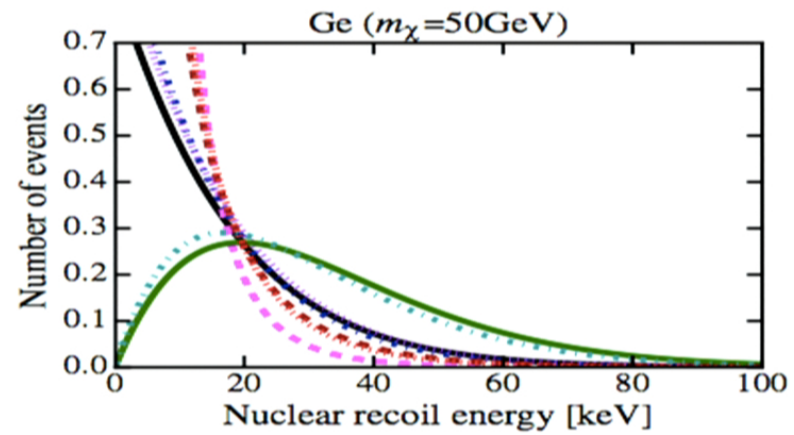
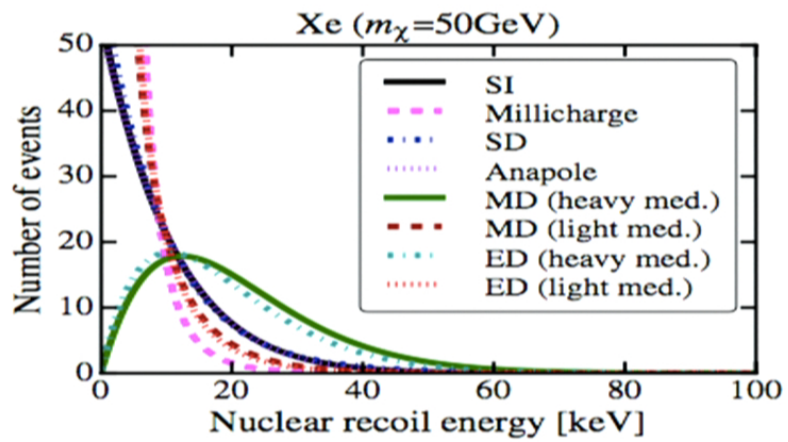
1. Simulate events under different hypotheses, for a signal **just below the current detection threshold**.











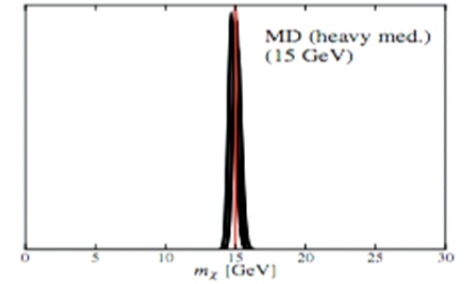
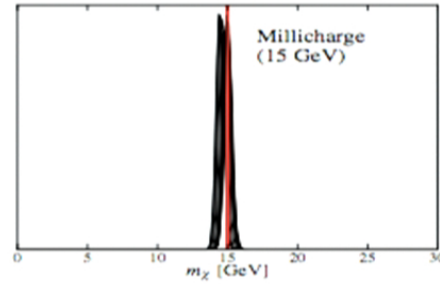
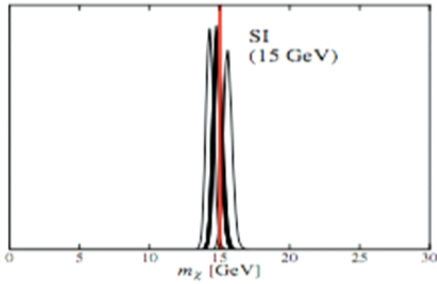
Mass reconstruction

SI

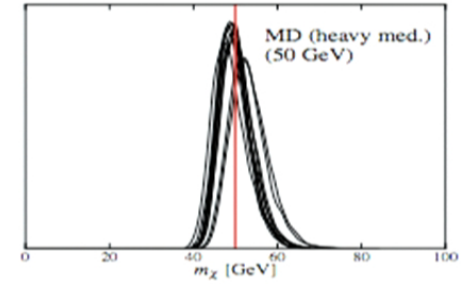
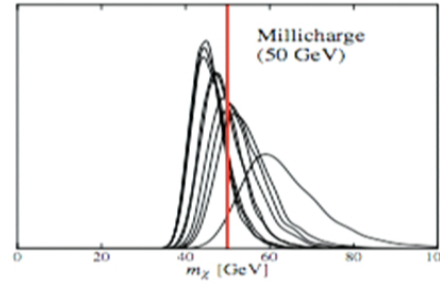
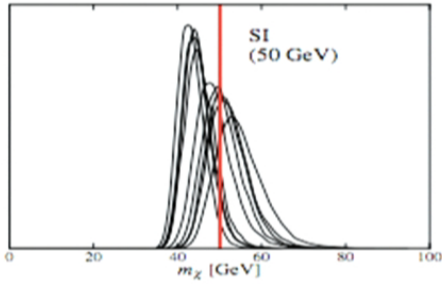
Millicharge

MD (heavy mediator)

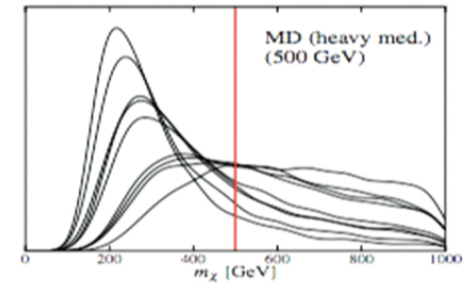
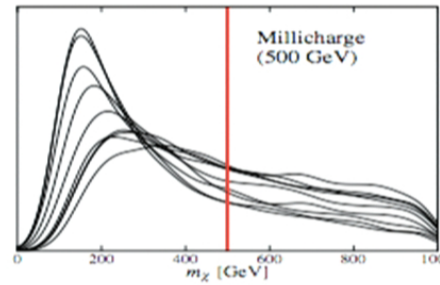
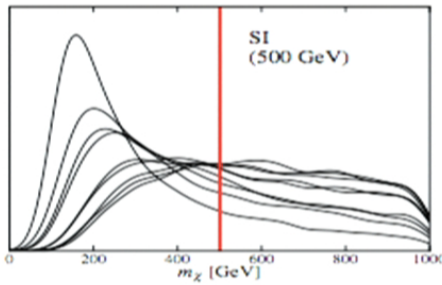
15 GeV



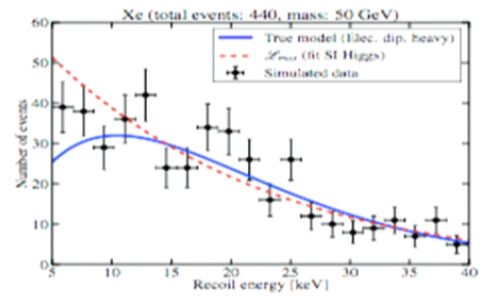
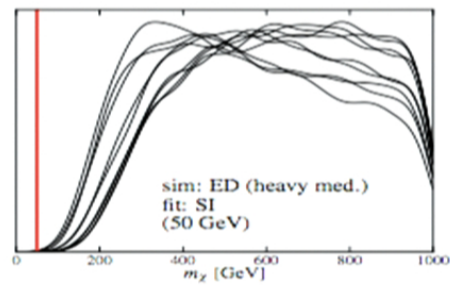
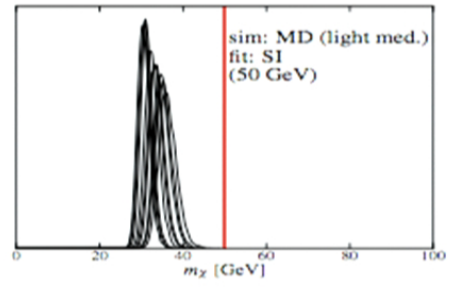
50 GeV



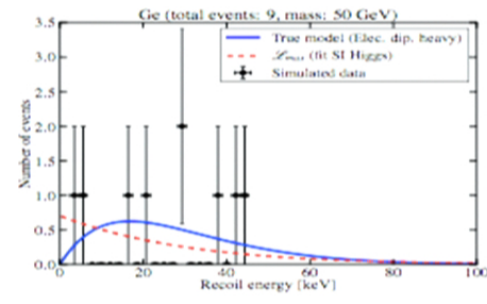
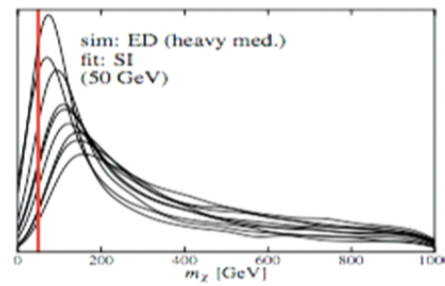
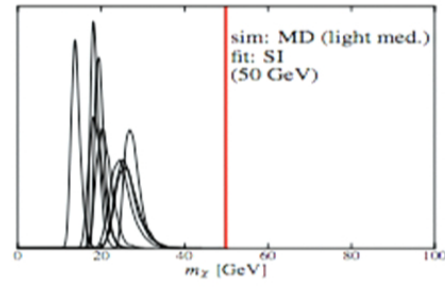
500 GeV



Xe



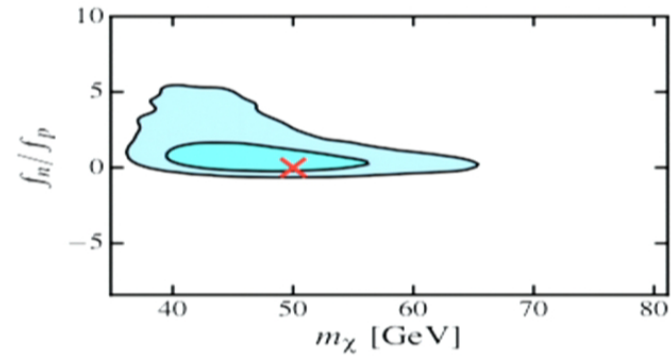
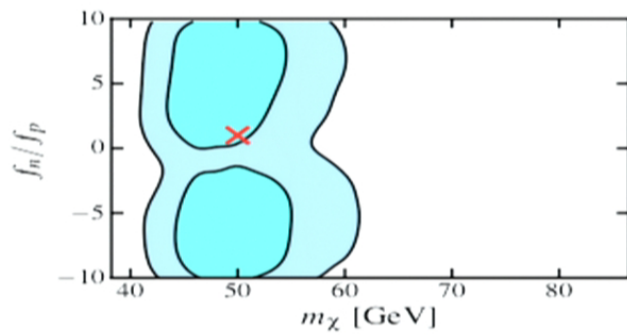
Ge



fn/fp uncertainty

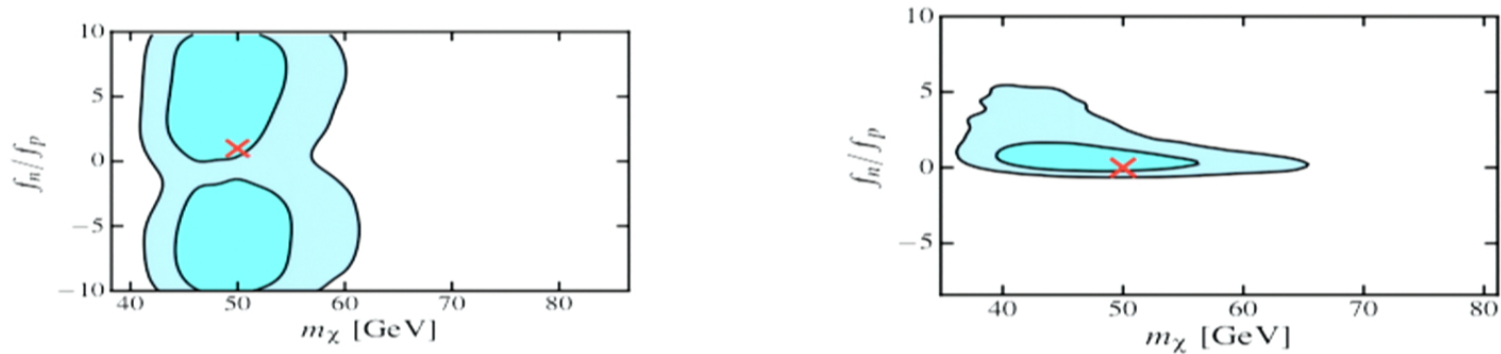
f_n/f_p as a free fitting parameter (for Xe+Ge+F only):

Parameter estimation:

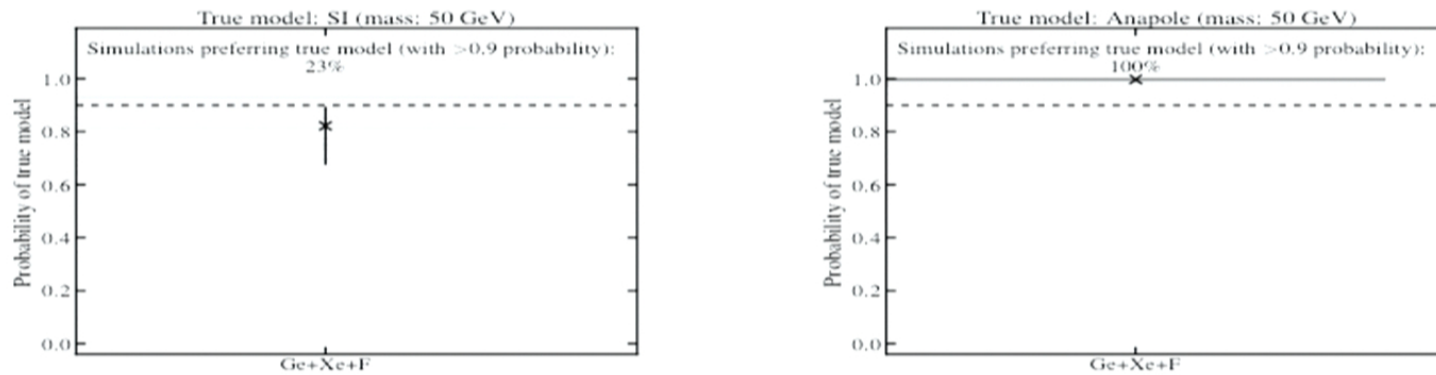


f_n/f_p as a free fitting parameter (for Xe+Ge+F only):

Parameter estimation:



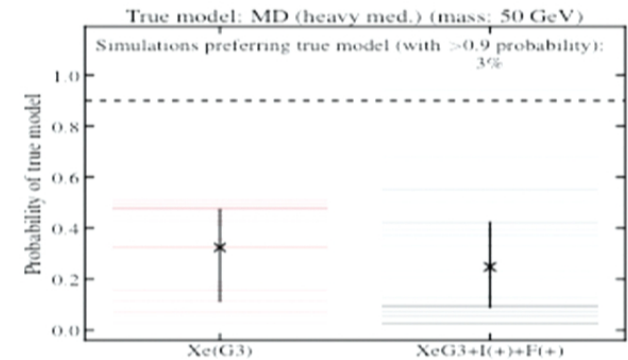
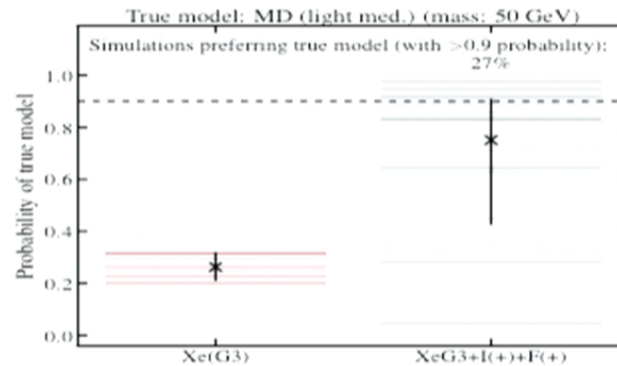
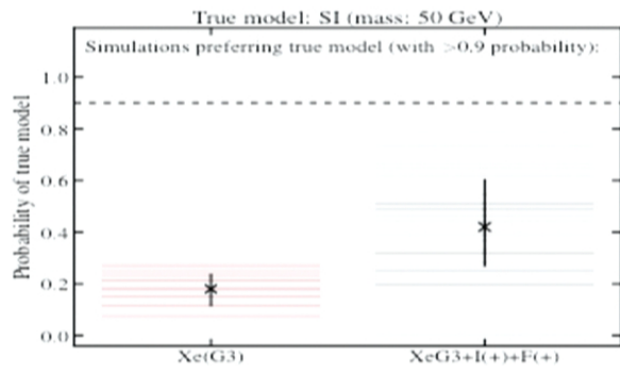
Model selection:



What next?

Signal at the projected G2 upper limit,
on neutrino-floor experiments:

Label	A (Z)	Energy window [keVnr]	Exposure [kg-yr]
XeG3	131 (54)	5-40	40 000
I+	127 (53)	1-600	424
F+	19 (9)	3-100	1200

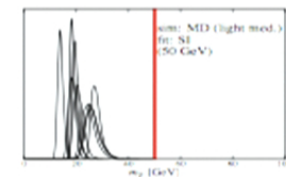
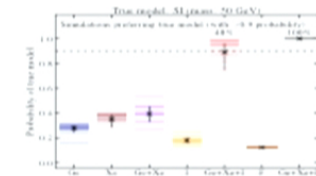
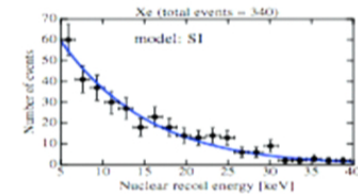


Conclusion 4:

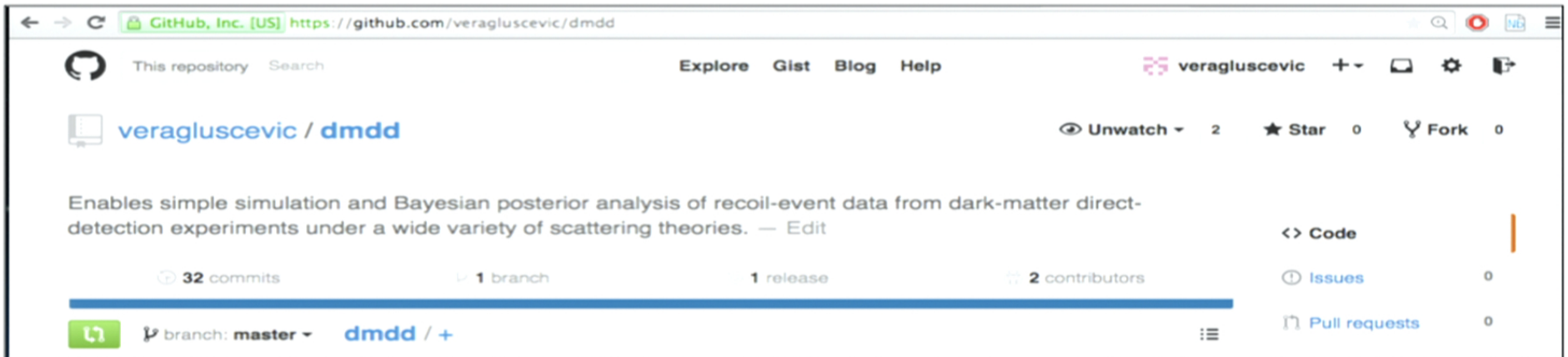
If G2 reports NO strong DM signal, prospects for identifying the right interaction from an agnostic analysis are slim; proceed with larger F or NaI experiments?

Summary

- ✓ Xenon + germanium can determine momentum dependence (mediator-mass regime), but we likely need other targets (F, I, Na) to distinguish richer phenomenology.
- ✓ Success is **not** a simple function of the number of events (i.e. exposure): low energy thresholds + multiple targets contribute.
- ✓ If a wrong scattering model is assumed, inferred DM mass can be biased.
- ✓ If G2 makes a strong detection, prospects are good, but not otherwise: we **need to consider all available information in DM studies** (complementarity of direct detection with cosmology, LHC,...)



dmdd @ GitHub!



The screenshot shows the GitHub repository page for `veragluscevic/dmdd`. The repository description is "Enables simple simulation and Bayesian posterior analysis of recoil-event data from dark-matter direct-detection experiments under a wide variety of scattering theories." The repository has 32 commits, 1 branch, 1 release, and 2 contributors. The current branch is `master`, and the selected file is `dmdd`. On the right side, there are links for `Code`, `Issues`, and `Pull requests`.

Basic Usage

Here is a quick example of basic usage:

```
from dmdd import UV_Model, Experiment, MultinestRun

model1 = UV_Model('SI_Higgs', ['mass', 'sigma_si'], fixed_params={'fnfp_si': 1})
model2 = UV_Model('SD_fu', ['mass', 'sigma_sd'], fixed_params={'fnfp_sd': -1.1})

xe = Experiment('Xe', 'xenon', 5, 40, 1000, eff.efficiency_Xe)

run = MultinestRun('sim', [xe, ge], model1, {'mass': 50., 'sigma_si': 70.},
                  model2, prior_ranges={'mass': (1, 1000), 'sigma_sd': (0.001, 1000)})

run.fit()
run.visualize()
```