

Title: The Standard Model Experiment: Higgs Discovery

Date: Jul 17, 2015 11:00 AM

URL: <http://pirsa.org/15070057>

Abstract:

$t = \text{count sels } |$
 $(y \pm t)$
 solutions for $\{z_1, z_2, \dots, z_{n-1}\}$
 $(n-1)$ -pt system
 $\left(\sum_{k=1}^{n-1} q_k \right) z_n^{n-2} = \left(\sum_{k=1}^{n-1} (q_k z_k) \right) z_n^{n-3}$
 formula
 BI
 \downarrow dim red
 DBI
 $\lambda \rightarrow$ insensibility
 Gen. DBI
 $x \quad l$
 \rightarrow NLSM
 $\mu_n = \int d$



The Standard Model: Experiment

(Higgs Physics)

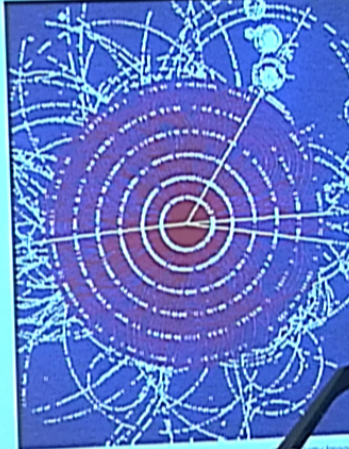
Pierre Savard
 University of Toronto and TRIUMF
 TRISEP, Perimeter Institute
 17 July 2015

$f(z) dz = K_a \Leftrightarrow w(z)$
 $\int f(z) w(z) = z \sum_{a=1}^n \frac{K_a K_a}{(z-z_a)(z-\bar{z}_a)}$
 $z) = \prod_{a=1}^n (z-z_a) w^*(z)$
 $P^{(z)} =$
 $n-2 =$
 $\int G(z) dz$
 $\frac{d^{2n} \Delta}{(G(z))^{2n} (z-z_a)^{2n}}$
 $\frac{1}{G(z)} = \frac{1}{(z-z_a)^2} - \frac{1}{(z-\bar{z}_a)^2}$
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 $\sum_{k=1}^{n-1} q_k z_k = \left(\sum_{k=1}^{n-1} (q_k z_k) z_k \right) z_k^{-1}$
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 $l \rightarrow \downarrow$
 $NLSM$
 $\mu_n = \int d\mu_n \mathbb{I}_n \mathbb{I}_n$

HIGGS BOSON AND TIME

Person of the Year?



Simulation of a Higgs-Boson decaying into four photons, CERN, 1990.

What do you think?

Should The Higgs Boson be TIME's Person of the Year 2012?

19.74% Definitely 80.26% No Way

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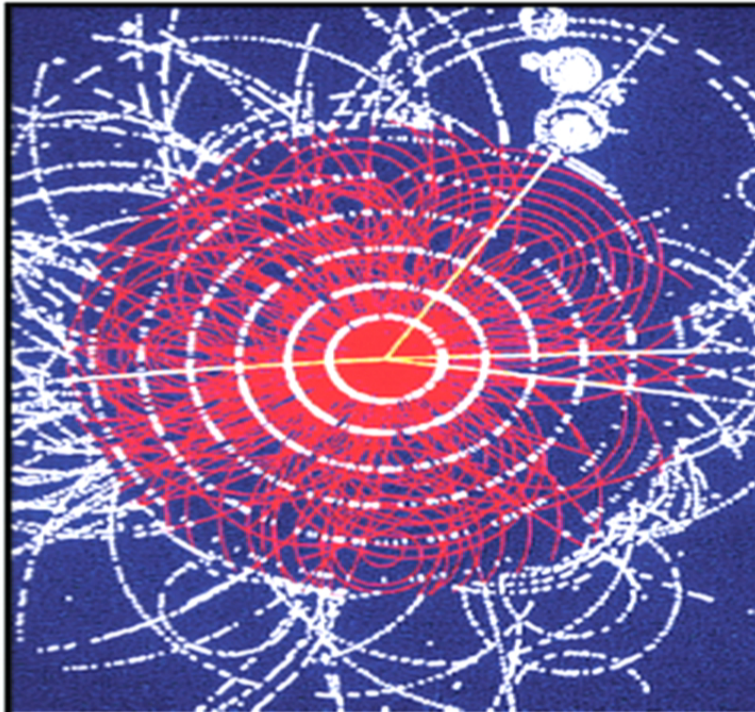
Take a moment to thank this little particle for all the work it does, because without it, you'd be just inchoate energy without so much as a bit of mass. What's more, the same would be true for the entire universe. It was in the 1960s that Scottish physicist Peter Higgs first posited the existence of a particle that causes energy to make the jump to matter. But it was not until last summer that a team of researchers at Europe's Large Hadron Collider — Rolf Heuer, Andrej Mandelica and Fabiola Gianotti — at last sealed the deal and in so doing finally fully confirmed Einstein's general theory of relativity. The Higgs — as particles do — immediately decayed to more-fundamental particles, but the scientists would surely be happy to collect any honors or awards in its stead.

Courtesy of André David

$f(z) dz = K_a \Leftrightarrow w(z)$
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 $w(z) = \prod_{a=1}^n (z-z_a) w^*(z)$
 $P^*(z) = \dots$
 $n-2 = \dots$
 $z = \dots$
 $\int \dots$
 \dots

HIGGS BOSON AND TIME

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SSPL/Getty Images

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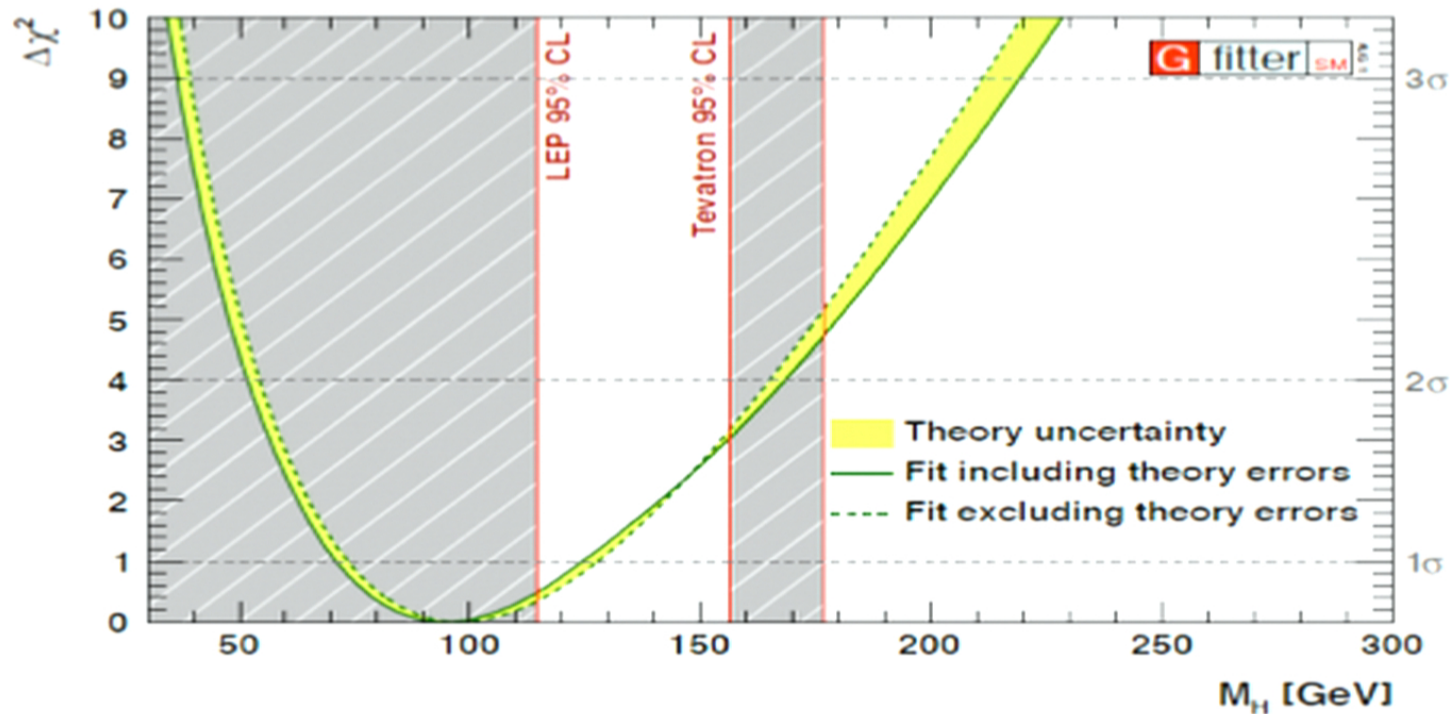
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Courtesy of
André David

Before LHC: where to expect the Higgs?

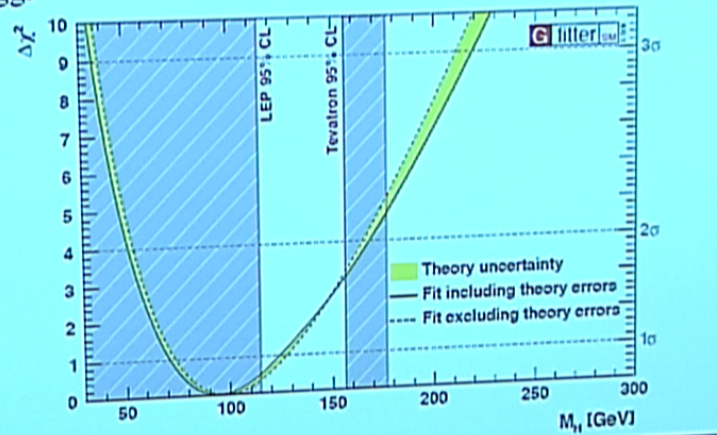
- Fits to Standard Model data favors a “light” Higgs Boson
- After 2010, at 95% CL, a 40 GeV window was left for the SM Higgs



$t = \text{count} / \text{det}$
 solutions for $\{z_1, z_2, \dots, z_{n-1}\}$
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 $\sum_{k=1}^{n-1} q_k z_k = \sum_{k=1}^{n-1} (p_k z_k) z_k^{n-1}$
 formula
 BI
 ↓ dim red
 DBI
 → non-linearly realized
 for soft break
 gen DBI
 SM
 S Gal

Before LHC: where to expect the Higgs?

- Fits to Standard Model data favors a “light” Higgs Boson
- After 2010, at 95% CL, a 40 GeV window was left for the SM Higgs



$f'(z) dz = K'_a \Leftrightarrow w(z)$
 $f(z) w(z) = z \sum_{a=1}^n \frac{K_a K_a}{(z-z_a)(z-\bar{z}_a)}$
 $z) = \prod_{a=1}^n (z-z_a) w'(z) \rightarrow p^{(n)}(z) =$
 $p^{(n)}(z) =$
 $n-2 =$
 $z \cdot n) = \int \frac{d^{2n} \Delta}{(G(\Delta))^{(n)} (H(\Delta))^{(n-1)}}$
 $f(z, \eta) =$
 $\frac{1}{(z-\eta)}$
 $\frac{1}{(z-\eta)}$
 $\frac{1}{(z-\eta)}$

$t = \text{count} / \text{det}$

solutions for $\{z_1, z_2, \dots, z_{n-1}\}$

$(n-1)$ -pt system

$$\left(\sum_{k=1}^{n-1} q_k \right) z_n^{n-1} = \left(\sum_{k=1}^{n-1} (q_k z_k) \right) z_n^{n-2}$$

γ -E formula

BI
 \downarrow dim red

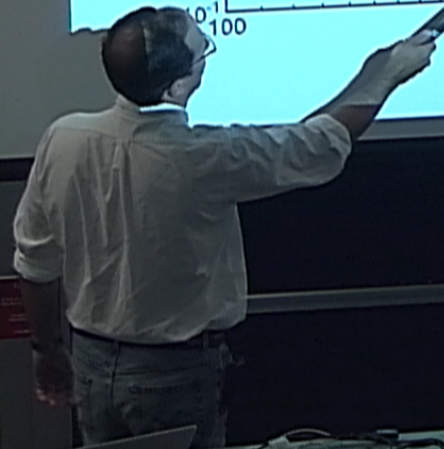
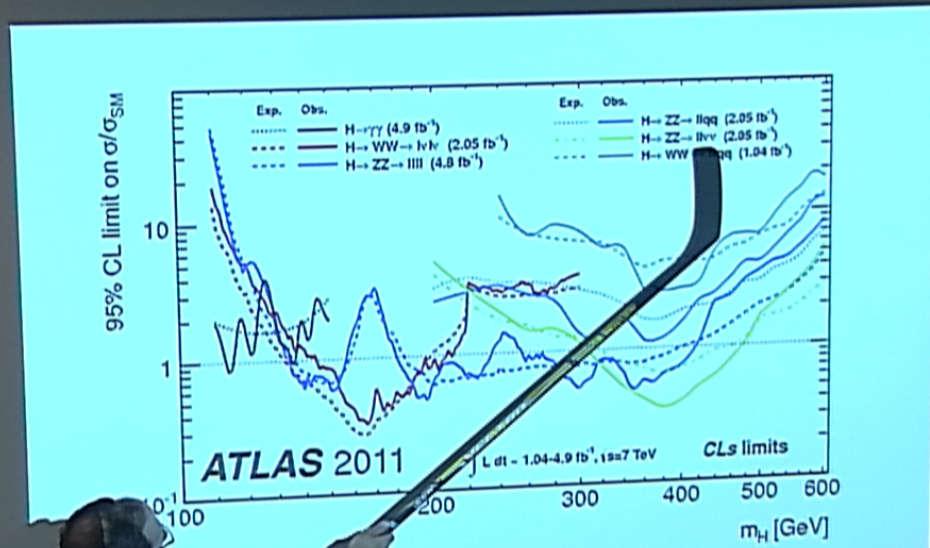
DBI
 \downarrow non-linear realization

gen. DBI
 \times l

\rightarrow NL SM

$$\mu_n = \int d\mu_n \mathbb{I}_n \mathbb{I}_n$$

ATLAS 2011 Combination



$$\int (z) dz = K_n \Leftrightarrow \omega(z)$$

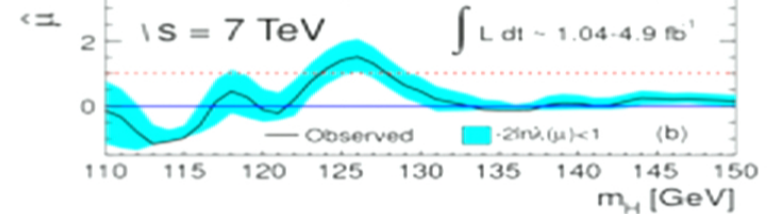
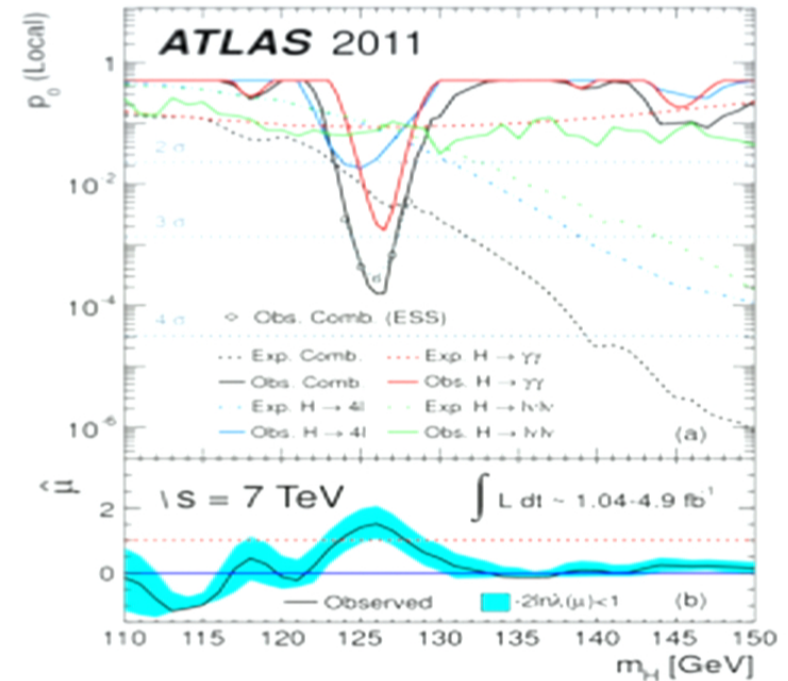
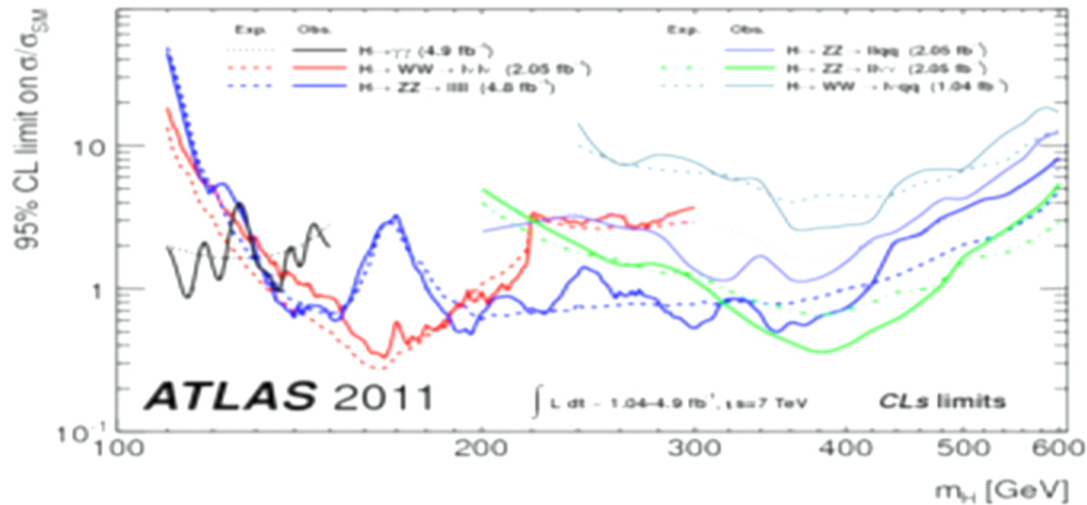
$$f(z) \omega(z) = z \sum_{k=1}^n \frac{K_k K_n}{(z-z_k)(z-z_n)}$$

$$z) = \prod_{k=1}^n (z-z_k) \omega'(z) \rightarrow P^{(n)}(z) =$$

$$z) = \int \frac{d^{2n} \Delta}{(G(\Delta))^{(n+1/2)}} \int_{S^{2n-1}} \dots$$

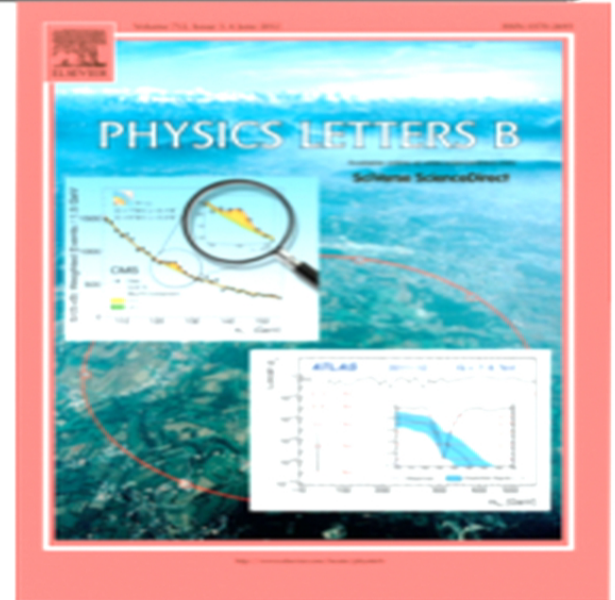
ATLAS 2011 Combination

- At 126 GeV local signif.: 3.5σ (p_0 : 2.7×10^{-4})
- Accounting for Look Elsewhere Effect (LEE)::
 - Global $p_0 \sim 0.6\%$ (2.5σ) for 114-146 GeV (HCP mass range)
 - Global $p_0 \sim 1.4\%$ (2.2σ) for full mass range 110-600 GeV



CHRONOLOGY

- 3 years ago, the LHC started to produce collisions at a centre of mass of 8 TeV. The 7 TeV run showed some hints of a signal consistent with the Standard Model (SM Higgs boson)
- On July 4th of 2012, both ATLAS and CMS announced that they had discovered a new particle consistent with what was expected in the SM. Two papers were then submitted at the end of July



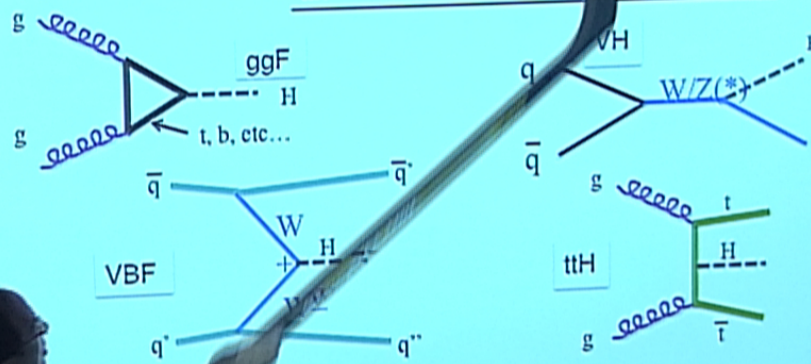
•The ATLAS paper was titled: “Observation of a New Particle in the Search for the Standard Model Higgs Boson”

- The LHC delivered 4 times the data used for the discovery by the end of 2012. Results using the full dataset were presented in March 2013 prompted CERN to declare that the new particle was “a” Higgs boson (two key ATLAS papers)

Higgs Production

Cross sections for $m_H=125$ GeV:

	process	8 TeV	13 TeV
ggF	gluon-gluon fusion	19 pb	44 pb
VBF	vector-boson fusion	1.6 pb	3.7 pb
VH	associated production	1.1 pb	2.2 pb
ttH	associated production	13 pb	0.51 pb



$t = \text{count sels} / (\text{cut})$

solutions for $\{z_1, z_2, \dots, z_{n-1}\}$

$(n-1)$ -pt system

$\sum_{k=1}^{n-1} q_k z_k = \sum_{k=1}^{n-1} (p_k z_k) z_k^{n-1}$

BI formula

BI \downarrow dim red

DBI \downarrow immersion

gen DBI \times l

$l \rightarrow$ \downarrow NLSM

$\mu_n = \int d\mu_n \mathbb{I}_n \mathbb{I}_n$

ω gauge cov of \mathcal{L}

\mathcal{L} non-linearly realized for soft + slow

14/20

5 Gal

$\int (z) dz = K_n \Leftrightarrow \omega(z)$

$\int (z) \omega(z) = 2 \sum_{k=1}^n \frac{K_k K_n}{(z-z_k)(z-z_n)}$

$z) = \prod_{k=1}^n (z-z_k) \omega'(z)$

$P^{(n)}(z) = \dots$

$n-2 = \dots$

$\int \dots$

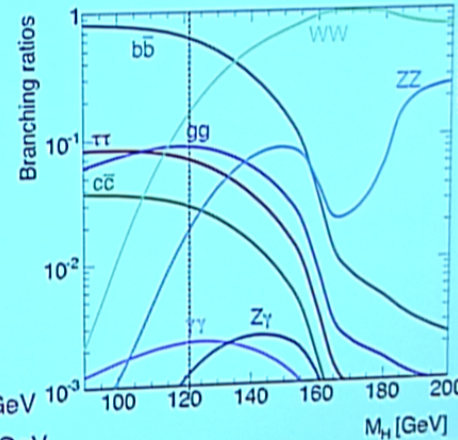
$\int \dots$

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$t = \text{count} \text{ sels} / (\text{y} \cdot \text{e} \cdot \text{t})$
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 $x \cdot l$
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INPUT PARAMETER: HIGGS BOSON MASS

- The SM does not predict the Higgs boson mass: we need to measure it
- Given a mass, we can make predictions for the production cross section and decay rates
- Around a mass of 125 GeV:
 - ggH xs changes by $\sim 1.5\%$ per GeV
 - WW BR changes by $\sim 7.5\%$ per GeV
 - ZZ BR changes by $\sim 9.5\%$ per GeV



Higgs mass measurements (GeV):

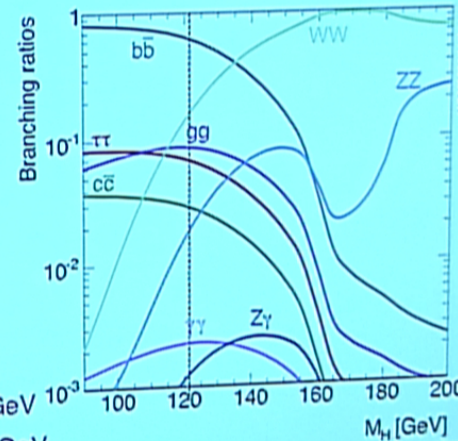
ATLAS:	125.36 ± 0.37 (stat)	± 0.18 (syst)
CMS:	125.02 ± 0.27 (stat)	± 0.15 (syst)

$\int^{\infty} f(z) dz = K_n \Leftrightarrow \omega(z)$
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 $z_j = \prod_{k=1}^n (z-z_k) \omega'(z)$
 $P^{(n)}(z) = \dots$
 $n-2 = \dots$
 $\int_{\mathcal{C}} \frac{d^{2n} \Delta}{(G(\Delta))^{(n+1/2)}} \int_{\mathcal{C}} \frac{d^{2n} \Delta}{(G(\Delta))^{(n+1/2)}}$
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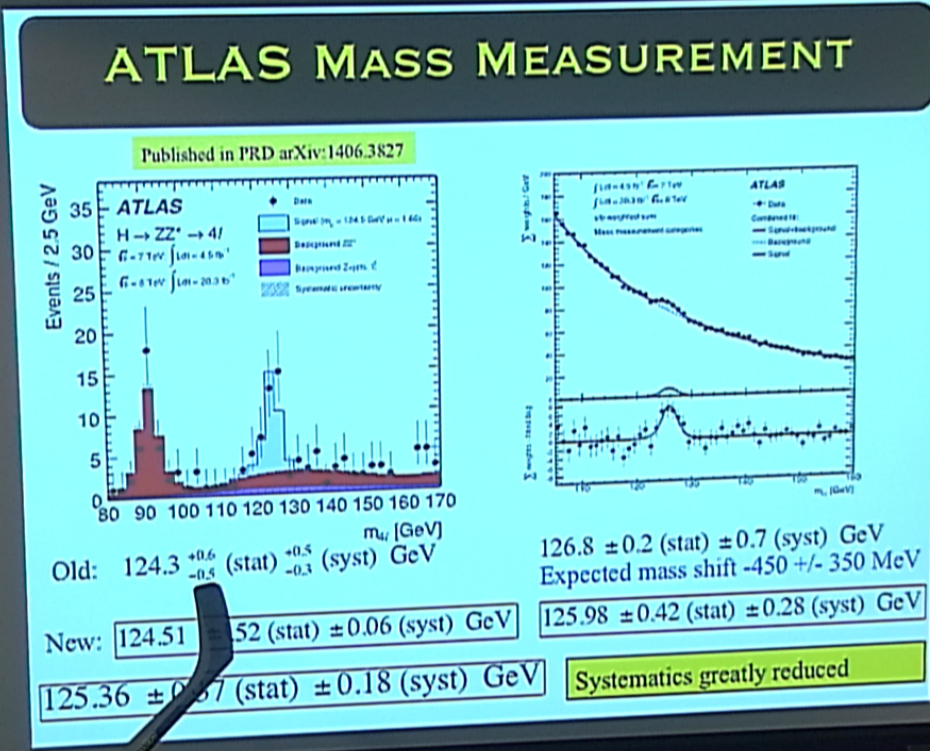


Higgs mass measurements (GeV):

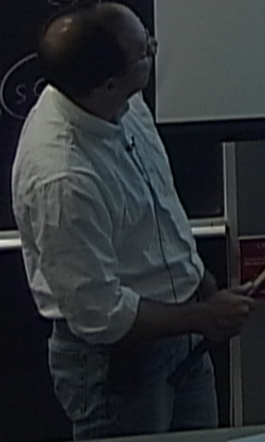
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 $z) = \prod_{k=1}^n (z-z_k) w'(z)$
 $P^{(n)}(z) = \dots$
 $n-2 = \dots$
 $\int G(z) dz = \dots$
 $\int \frac{d^{2n} \Delta}{(G(z))^{n-1} (W(z)-G(z))}$
 $\int \frac{1}{(z-z_k)} dz = \dots$

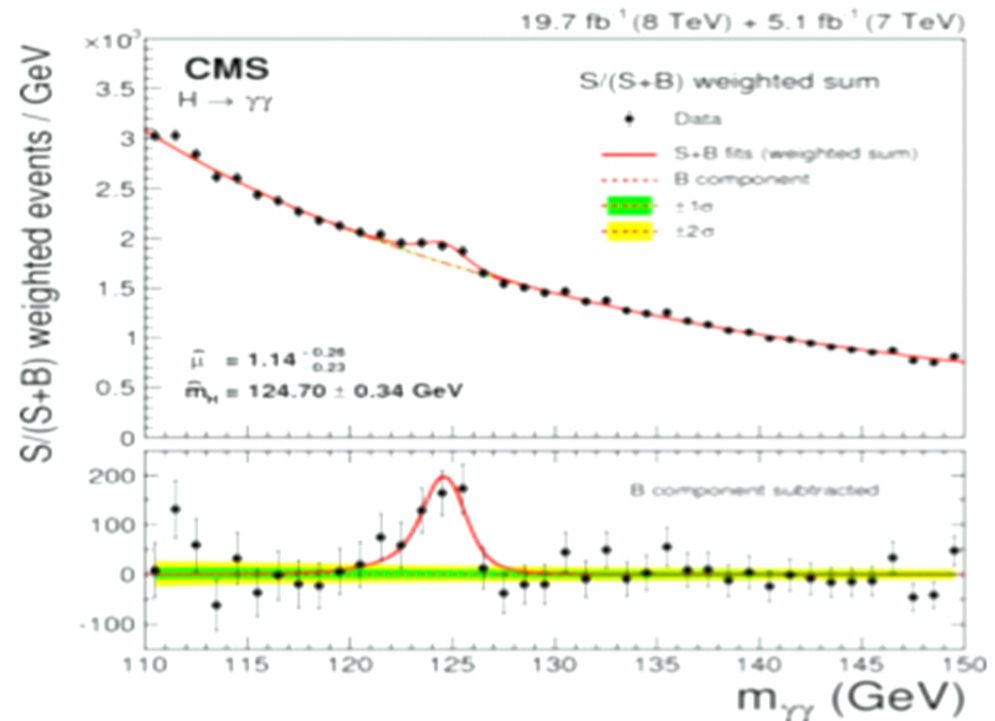
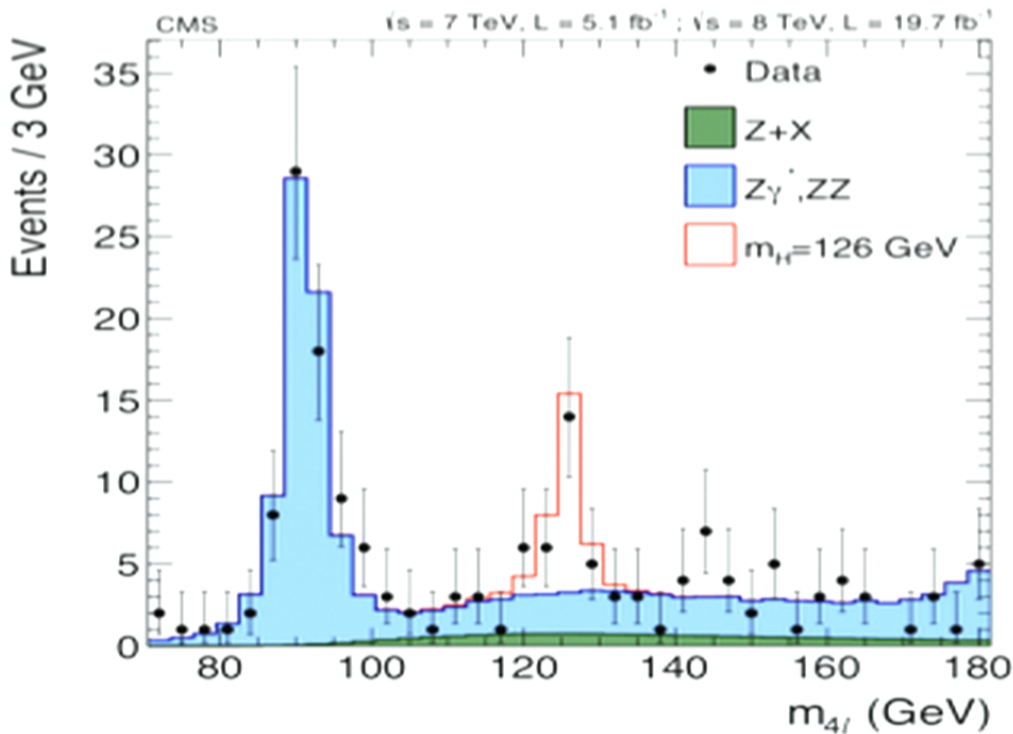
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$r(z_i) dz = K_a \Leftrightarrow \omega(z)$
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 $z) = \prod_{a=1}^n (z-z_a) \omega^*(z)$
 $P(z) = \dots$
 $n-2 = \dots$
 $z \rightarrow \dots$
 $\int \frac{d^{2n} \Delta}{(G(\Delta))^{n-1} (W(\Delta))^{n-1}}$
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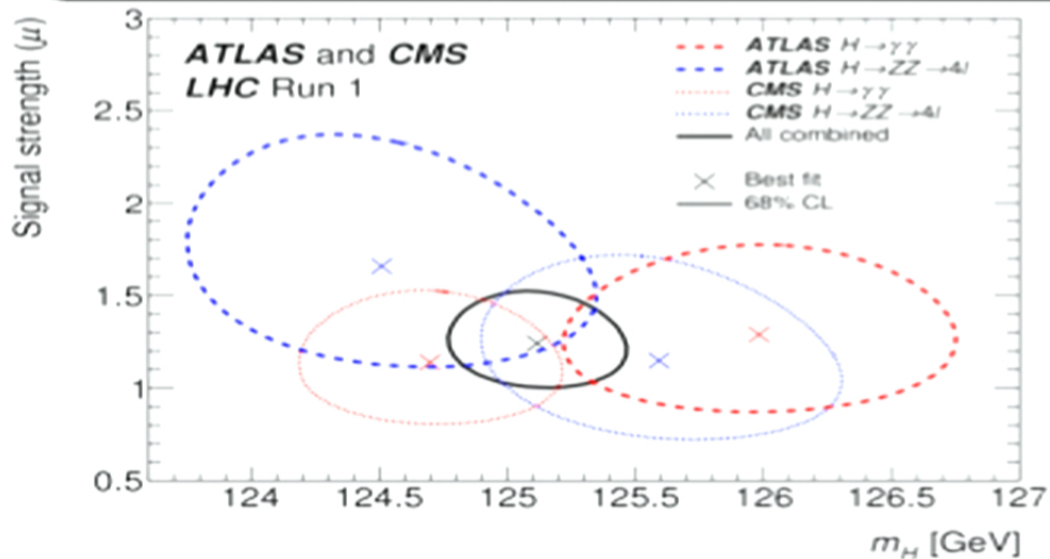
CMS MASS MEASUREMENT



CMS combined mass result:

$125.02 \pm 0.27 \text{ (stat)} \pm 0.15 \text{ (syst)} \text{ GeV}$

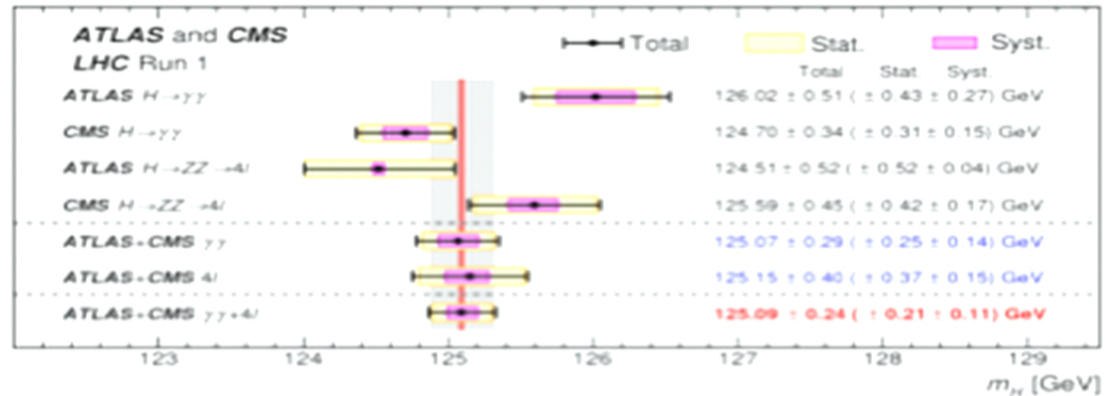
HIGGS MASS MEASUREMENT



Combined ATLAS/CMS Mass:

$$125.09 \pm 0.21 \text{ (stat)} \pm 0.11 \text{ (syst)} \text{ GeV}$$

0.2% precision measurement.
Statistical uncertainty is the
dominant uncertainty



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SM HIGGS BOSON PHYSICS

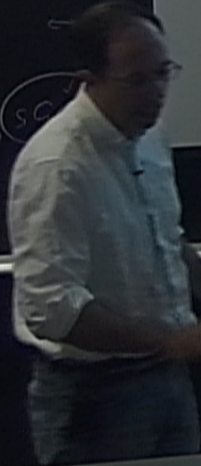
• A comprehensive program to test the SM Higgs hypothesis:

- Precision mass measurements
- Measurement of couplings
 - Production modes
 - ggH, WH, ZH, VBF, ttH
 - Decay modes:
 - $\gamma\gamma$, WW, ZZ, tt, bb
 - Off-shell measurements
- Rare Decay modes:
 - $\mu\mu$, $Z\gamma$, $J/\psi\gamma$
- Quantum numbers: Spin and CP measurements
- Fiducial and differential measurements
- Width
 - Direct, off-shell, interference



Higgs Bosons — H^0 and H^\pm	
H^0 Mass $m = 125.9 \pm 0.4$ GeV	
H^0 signal strengths in different channels [1]	
Combined Final States	1.07 ± 0.26 ($S = 1.4$)
WW* Final State	0.88 ± 0.33 ($S = 1.1$)
ZZ* Final State	$0.89^{+0.30}_{-0.29}$
$\gamma\gamma$ Final State	1.65 ± 0.33
bb Final State	$0.5^{+0.8}_{-0.7}$
$\tau^+\tau^-$ Final State	0.1 ± 0.7

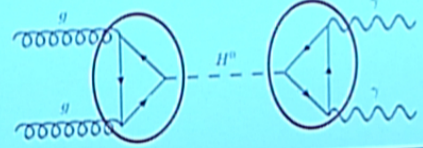
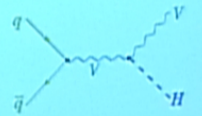
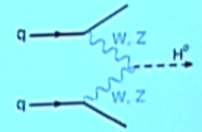
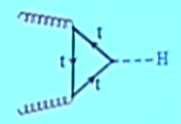
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 $\lambda \rightarrow 0$ (non-linear realization)
 gen DBI
 $\lambda \rightarrow 0$
 $NLSM$
 $\mu_n = \int d\mu_n \mathcal{L}$

H \rightarrow $\gamma\gamma$

- Main production depends on coupling to top quark (in SM), with smaller contribution from VBF (and VH) which depends on coupling to top and W bosons
- Decay depends on coupling to top and W boson (in SM)
- Large backgrounds: need good photon identification
 - ATLAS EM calorimeter designed with this signal in mind
- Small branching ratio, need integrated luminosity
- A good discovery final state:
 - Excellent Higgs mass resolution
 - Looking for a resonance on top of smooth background
 - Probes new physics in loops:

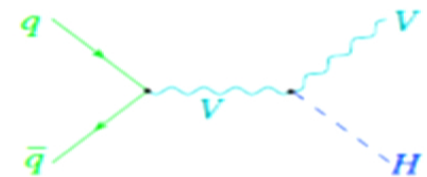
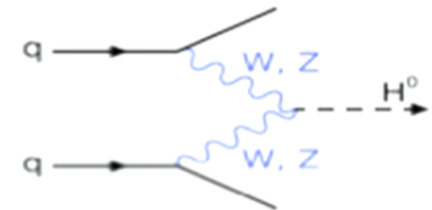
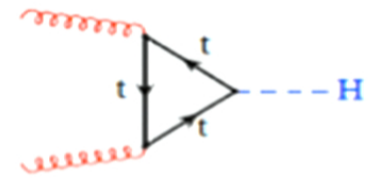


19

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 $\int \frac{d^{2n} \Delta}{(G(\Delta))^{n+1/2} (V(\Delta))^{n+1/2}}$
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H \rightarrow $\gamma\gamma$

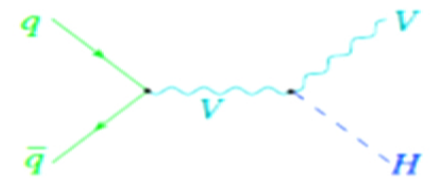
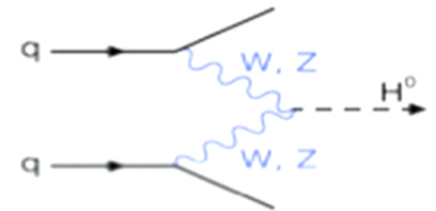
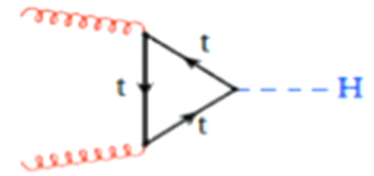
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H \rightarrow $\gamma\gamma$

- Main production depends on coupling to top quark (in SM), with smaller contribution from VBF (and VH) which depends on coupling to W/Z bosons
- Decay depends on coupling to top and W boson (in SM)
- Large backgrounds: need good photon identification
 - ATLAS EM calorimeter designed with this signal in mind
- Small branching ratio, need integrated luminosity
- A good discovery final state:
 - Excellent Higgs mass resolution
 - Looking for a resonance on top of smooth background
 - Probes new physics in loops:

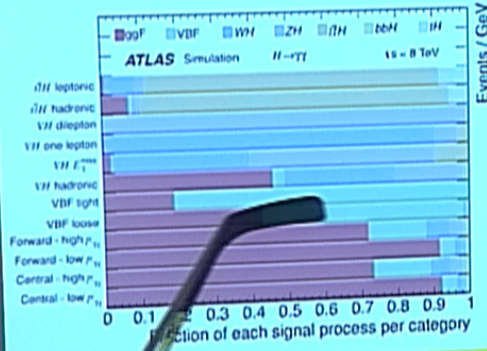


19

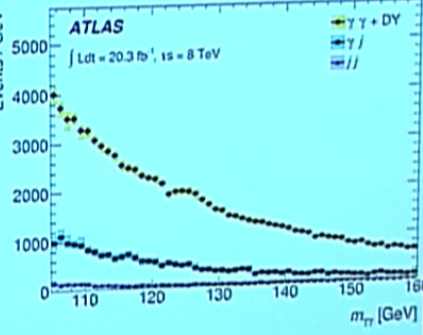
$t = \text{count} \text{ sels} / (\text{det})$
 solutions for $\{z_1, z_2, \dots, z_{n-1}\}$
 $(n-1)$ -pt system
 $\sum_{k=1}^n q_k z_k = \sum_{k=1}^n (q_k z_k) z_k^{-1}$
 BI
 ↓ dim red
 DBI
 → non-linear realization
 → gauge inv of \mathcal{G}
 → non-linearly realized
 for soft scale
 gen. DBI
 $x \rightarrow l$
 → NL SM
 $\mu_n = \int d\mu_n \mathbb{I}_n \mathbb{I}_n$

H → $\gamma\gamma$

Estimated signal composition in various categories



Estimated background composition (not used in fit)



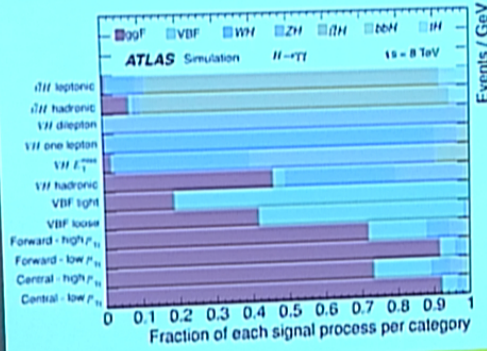
Combined signal strength at $M_H = 125.36$:
 $\mu = 1.17 \pm 0.23 \text{ (stat)} \pm 0.10 \text{ (syst)} \pm 0.12 \text{ (theory)}$
 $= 1.17 \pm 0.27,$

$f(z) dz = K_a \Leftrightarrow \omega(z)$
 $\int f(z) \omega(z) = Z \sum_{a=1}^n \frac{K_a K_a}{(z-z_a)(z-\bar{z}_a)}$
 $Z = \prod_{a=1}^n (z-z_a) \omega'(z)$
 $P^{(n)}(z) = \dots$
 $n-2 = \dots$
 $\int G(z) dz = \dots$
 $\int \frac{d^{2n} \Delta}{(G(z))^{(n)} (W(z))^{(n)}}$
 $\int \frac{d^{2n} \Delta}{(G(z))^{(n)} (W(z))^{(n)}}$
 $\int \frac{d^{2n} \Delta}{(G(z))^{(n)} (W(z))^{(n)}}$

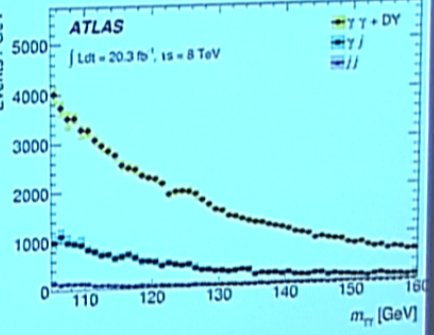
$t = \text{count} \text{ sels} / (\text{get})$
 solutions for $\{z_1, z_2, \dots, z_{n-1}\}$
 $(n-1)$ -pt system
 $\sum_{k=1}^n q_k z_k = \sum_{k=1}^n (p_k z_k) z_k^{n-1}$
 formula
 BI
 ↓ dim red
 DBI
 ↓
 gen DBI
 $x \rightarrow l$
 ↓
 NLSM
 $\mu_n = \int d\mu_n$

H → γγ

Estimated signal composition in various categories



Estimated background composition (not used in fit)



Combined signal strength at $M_H = 125.36$:

$$\mu = 1.17 \pm 0.23 \text{ (stat)} \pm 0.10 \text{ (syst)} \pm 0.12 \text{ (theory)}$$

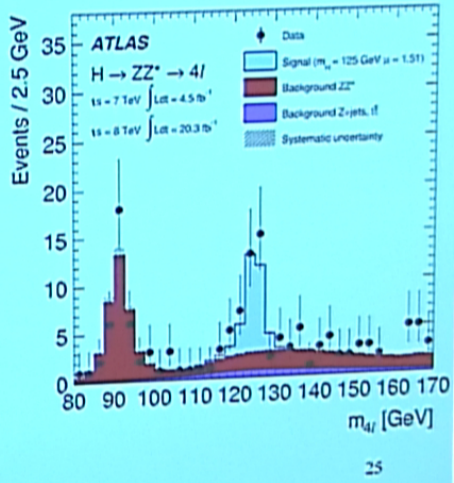
$$= 1.17 \pm 0.27,$$

$\int (z) dz = K_n \Leftrightarrow \omega(z)$
 $\int (z) \omega(z) = z \sum_{k=1}^n \frac{k_k K_k}{(z-z_k)(z-z_{k+1})}$
 $z = \prod_{k=1}^n (z-z_k) \omega'(z)$
 $P^{(n)}(z) = \dots$
 $n-2 = \dots$
 $\int G(z) dz = \dots$
 $\int \frac{d^{2n} \Delta}{(G(z))^{(n+1/2)}} \dots$
 $\int \frac{d^{2n} \Delta}{(G(z))^{(n+1/2)}} \dots$

$t = \text{count} \text{ sels} / (\text{get})$
 solutions for $\{z_1, z_2, \dots, z_{n-1}\}$
 $(n-1)$ -pt system
 $\sum_{k=1}^n q_k z_k = \sum_{k=1}^n (q_k z_k) z_k^{n-1}$
 formula
 BI
 \downarrow dim red
 DBI
 $\lambda \rightarrow$ interaction
 gen. DBI
 $x \quad l$
 \rightarrow NLSM
 $\mu_n = \int d\mu_n$

H → ZZ(*) → 4 LEPTONS

- New coupling analysis result:
 - Refined energy and momentum calibrations
 - Improved electron reconstruction and ID
 - Inclusion of “far” FSR photons
 - Use of multivariate discriminant for ggH category
 - Improved background estimate
 - Addition of new categories



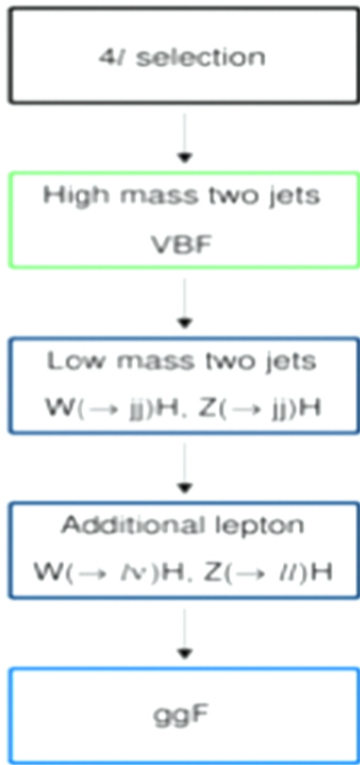
$\int (z) dz = K_a \Leftrightarrow \omega(z)$
 $\int (z) \omega(z) = Z \sum_{a=1}^n \frac{K_a K_a}{(z-z_a)(z-z_a^*)}$
 $Z = \prod_{a=1}^n (z-z_a) \omega'(z)$
 $P(z) = \dots$
 $n-2 = \dots$
 $\int G(z) dz = \dots$
 $\int \frac{d^{2n} \Delta}{(G(z))^{2n} (W(z))^{2n}}$
 $\int \frac{1}{(z-z_a)} \frac{1}{(z-z_b)}$

H → ZZ^(*) → 4 LEPTONS

Event categorization:

ATLAS

H → ZZ* → 4l BDT vs mass



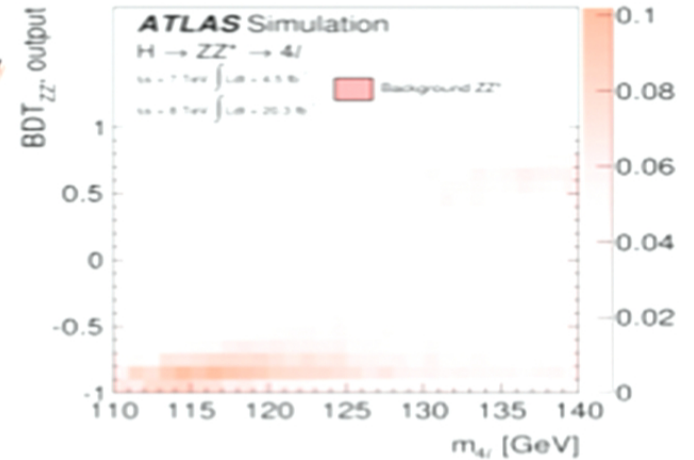
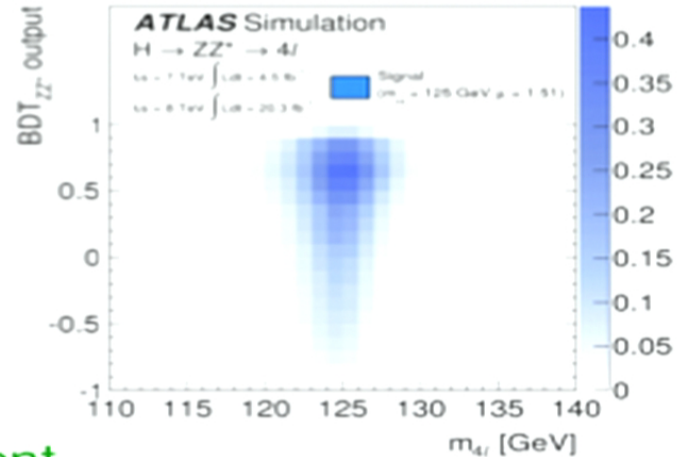
VBF enriched

VH enriched

ggF enriched

BDT variables:

- $P_T(4l)$
- $\eta(4l)$
- Matrix Element Discriminant

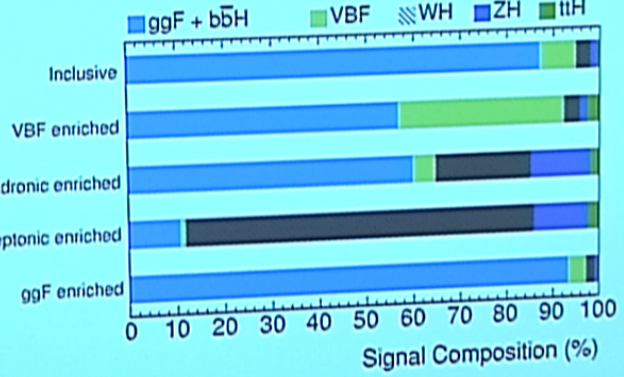


$t = \text{count} \text{ sels} / (\text{jet})$
 solutions for $\{z_1, z_2, \dots, z_{n-1}\}$
 $(n-1)$ -pt system
 $\left(\sum_{k=1}^n q_k \right) z_n^{n-1} = \left(\sum_{k=1}^n (q_k z_k) \right) z_n^{n-2}$
 formula
 BI
 \downarrow dim red
 DBI
 $\lambda \rightarrow 0$
 gen DBI
 x, l
 \rightarrow NLSM
 $\mu_n = \int d\mu_n \mathbb{I}_n \mathbb{I}_n$

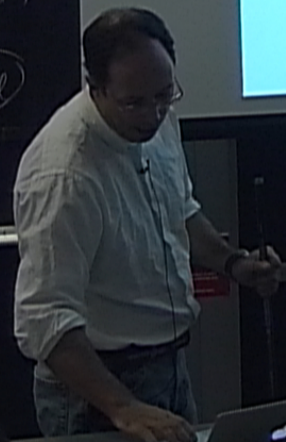
H \rightarrow ZZ^(*) \rightarrow 4 LEPTONS

Estimated signal composition in various categories

ATLAS Simulation H \rightarrow ZZ^{*} \rightarrow 4l
 $m_H = 125 \text{ GeV}$ $110 < m_{ll} [\text{GeV}] < 140$

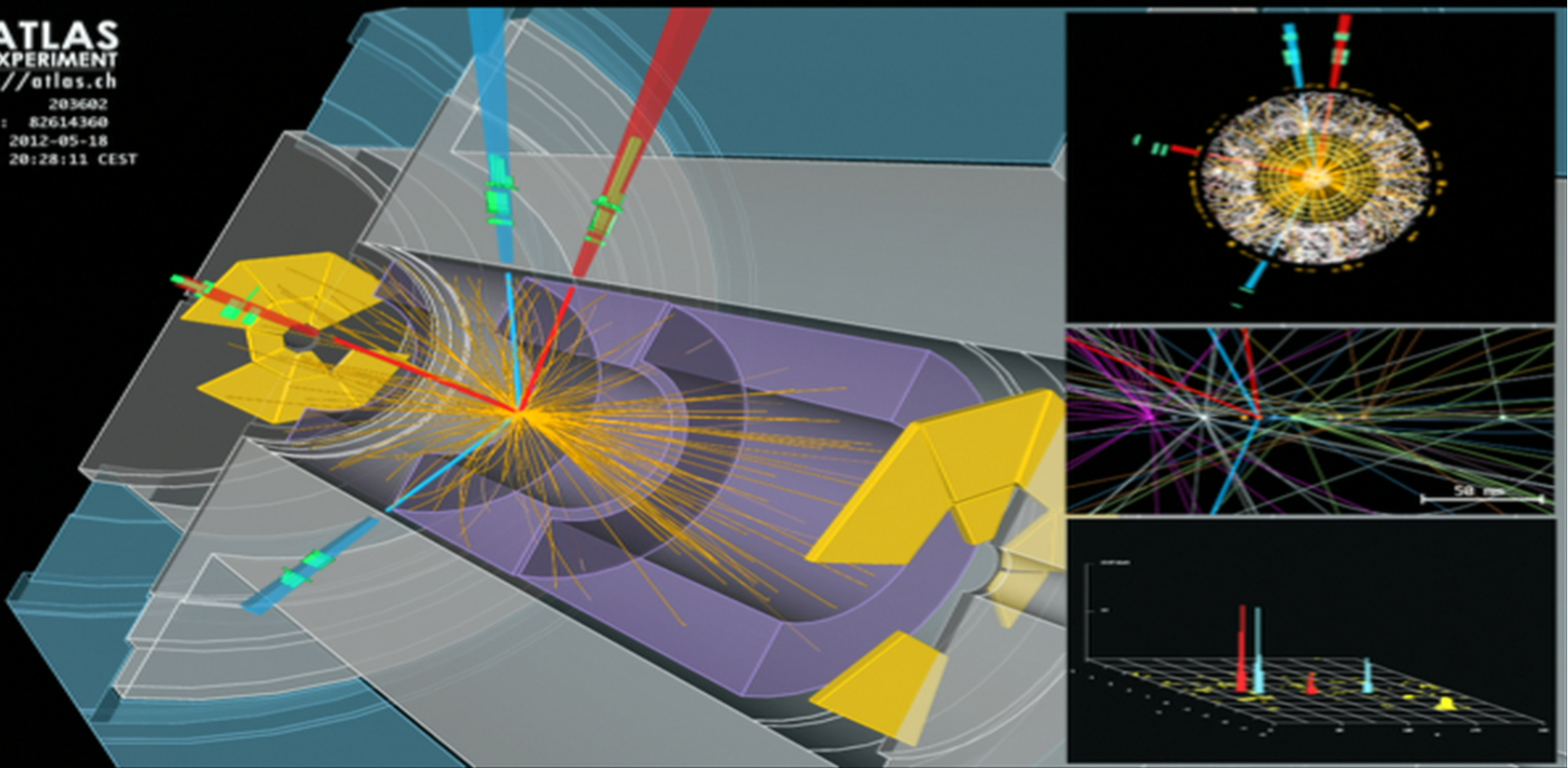


$f(z) dz = K_n \Leftrightarrow \omega(z)$
 $\int f(z) \omega(z) = \int \sum_{k=1}^n \frac{K_k K_n}{(z-z_k)(z-z_n)}$
 $z) = \prod_{k=1}^n (z-z_k) \omega(z)$
 $P(z) = \dots$
 $n-2 = \dots$
 $\int G(z) dz = \dots$
 $\int \frac{d^{2n} \Delta}{(G(z)) (H(z)) \dots}$
 $\int \frac{d^{2n} \Delta}{S(z) - G(z)}$
 $\int \frac{d^{2n} \Delta}{(z-z_k) \dots}$



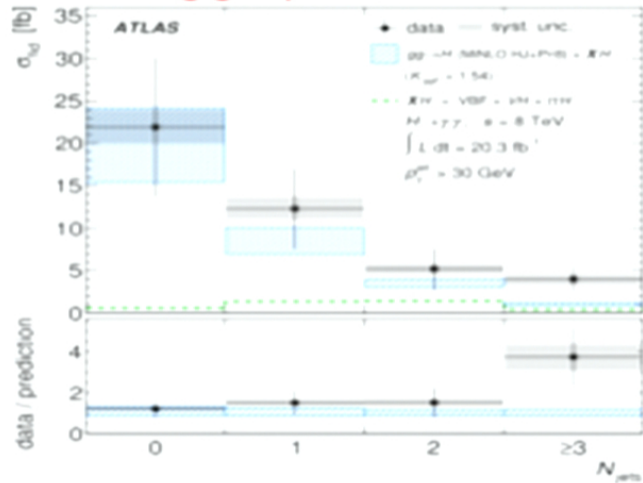
4e candidate

ATLAS
EXPERIMENT
<http://atlas.ch>
Run: 203602
Event: 82614360
Date: 2012-05-18
Time: 20:28:11 CEST

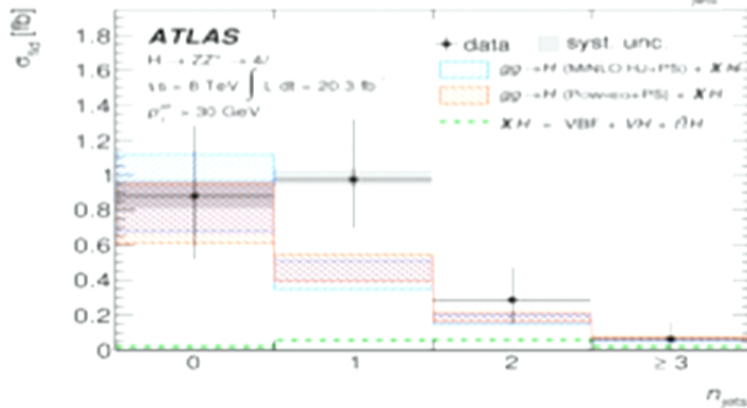
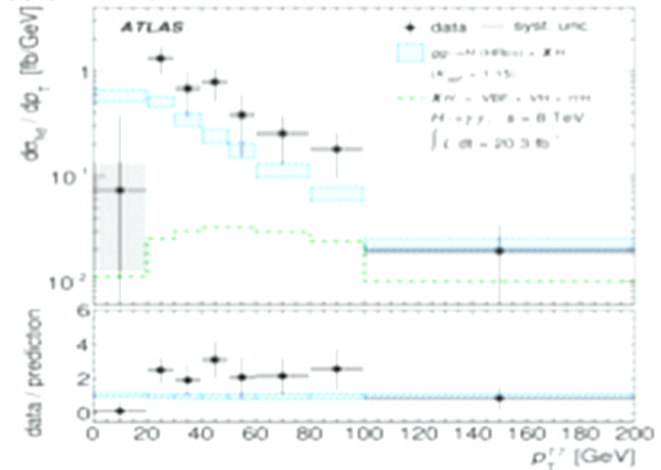


DIFFERENTIAL CROSS SECTIONS

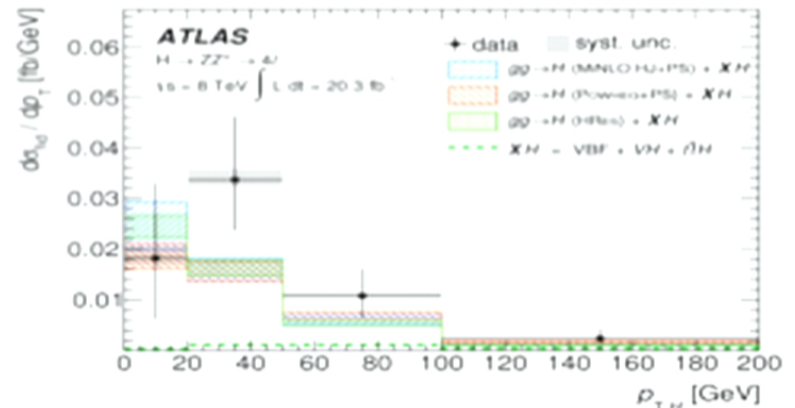
Test SM Higgs production theory predictions ($\gamma\gamma, ZZ$)



$\gamma\gamma$

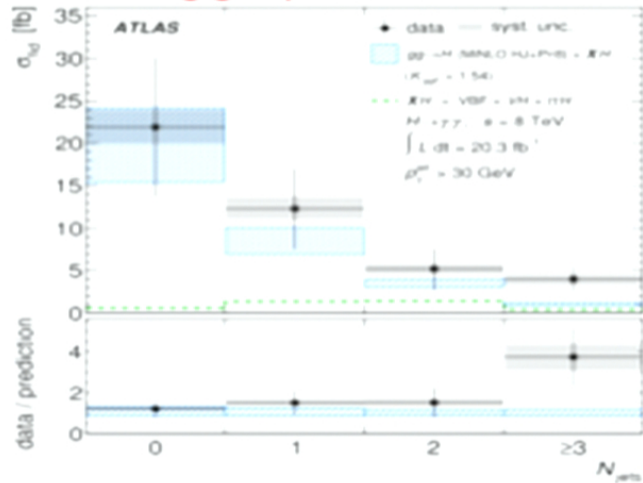


ZZ

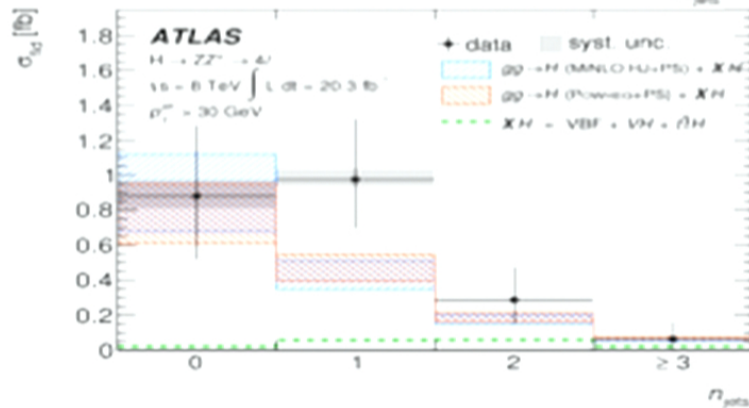
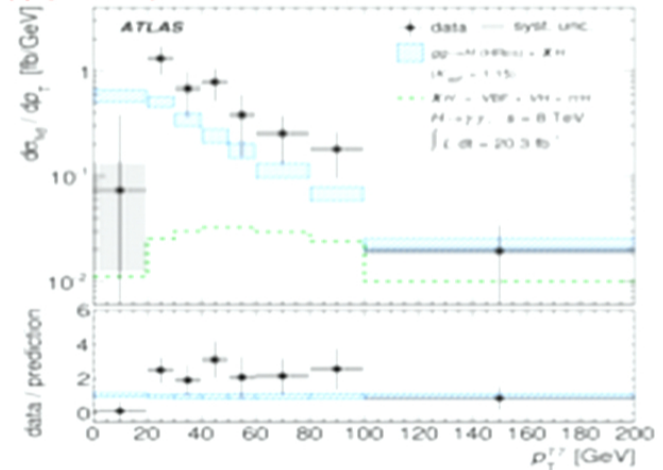


DIFFERENTIAL CROSS SECTIONS

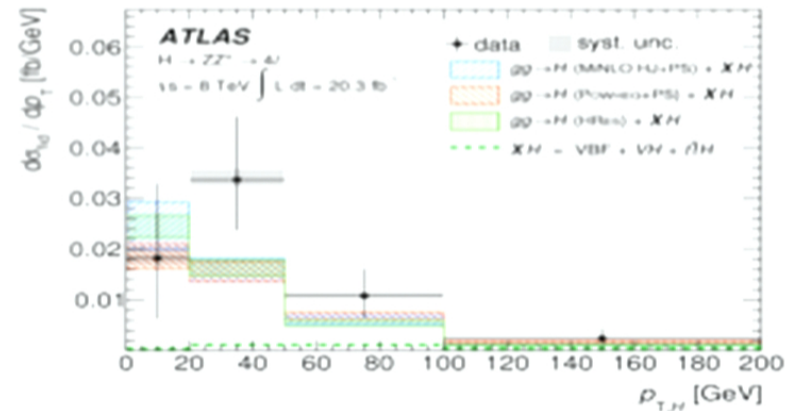
Test SM Higgs production theory predictions ($\gamma\gamma, ZZ$)



$\gamma\gamma$

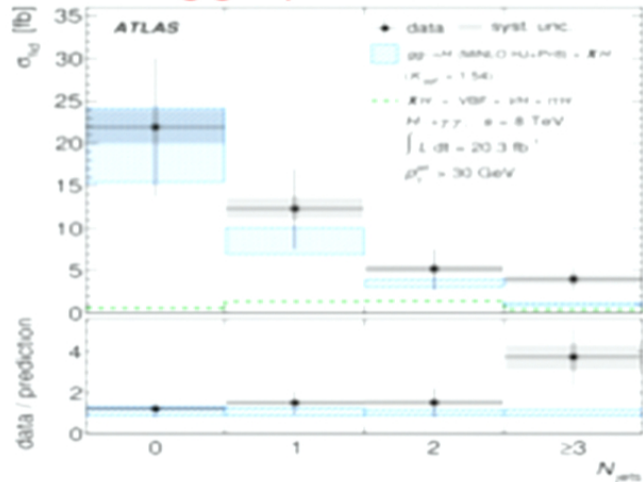


ZZ

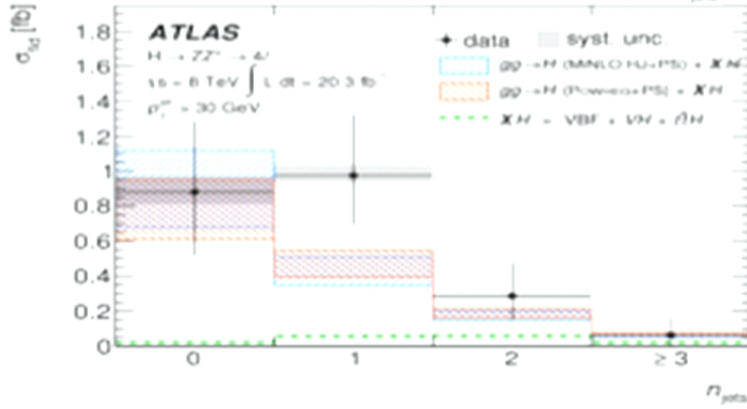
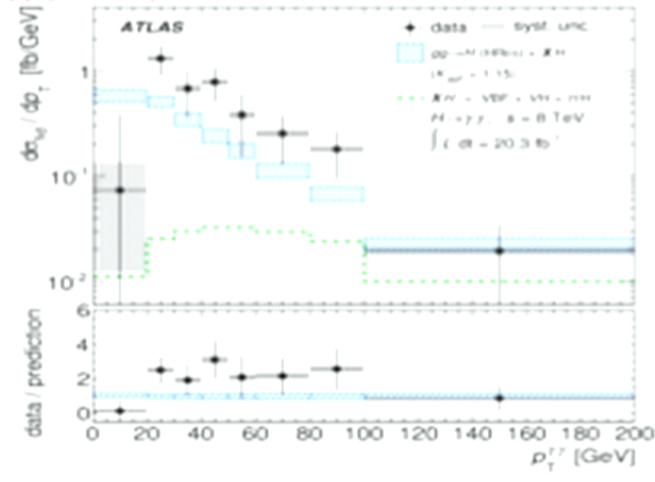


DIFFERENTIAL CROSS SECTIONS

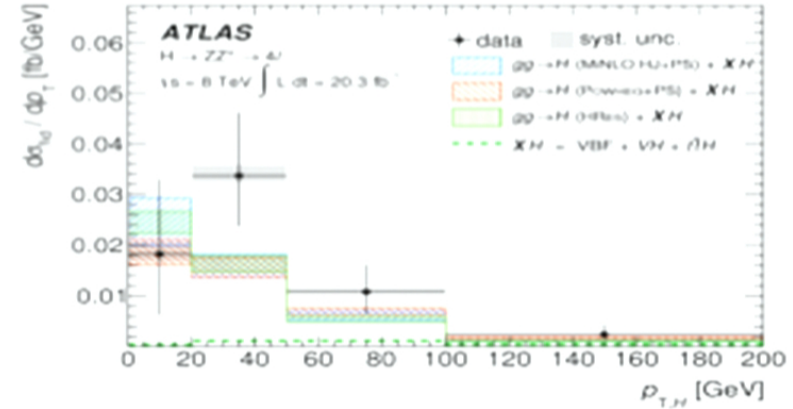
Test SM Higgs production theory predictions ($\gamma\gamma, ZZ$)



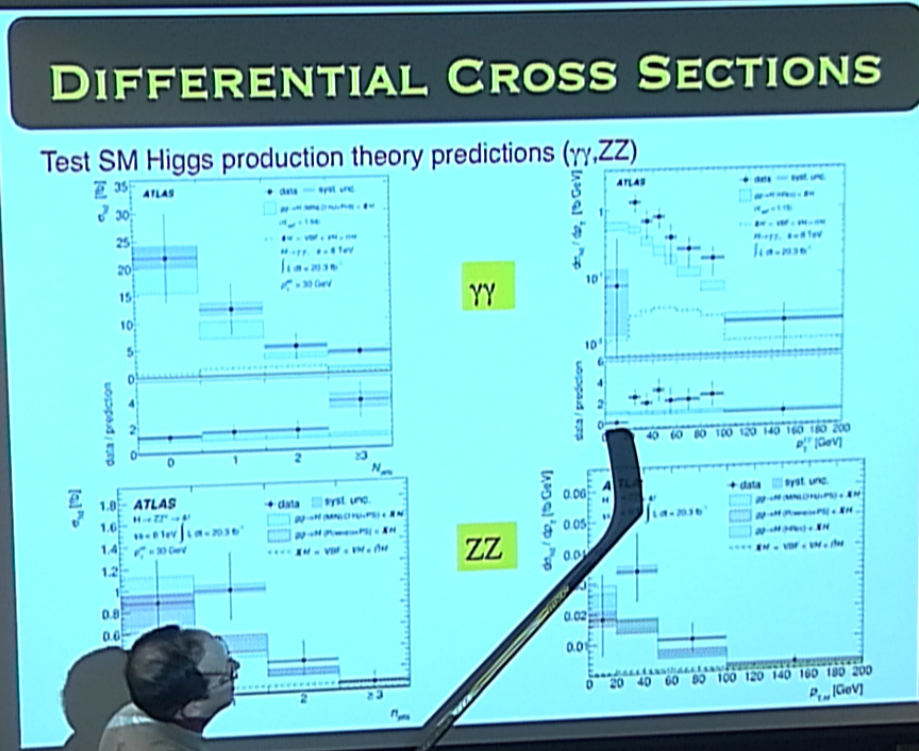
$\gamma\gamma$



ZZ



$t = \text{count} / (\text{det})$
 solutions for $\{z_1, z_2, \dots, z_{n-1}\}$
 $(n-1)$ -pt system
 $\sum_{k=1}^n q_k z_k = \sum_{k=1}^n (q_k z_k) z_k^{n-1}$
 BI
 ↓ dim red
 DBI
 ↗ imm-abelian
 gen. DBI
 $x \cdot l$
 ↘
 NLSM
 S Gal
 $\mu_n = \int d\mu_n \mathbb{I}_n \mathbb{I}_n$



$\int (z) dz = K_a \Leftrightarrow \omega(z)$
 $\int (z) \omega(z) = z \sum_{a=1}^n \frac{K_a K_a}{(z-z_a)(z-\bar{z}_a)}$
 $z) = \prod_{a=1}^n (z-z_a) \omega(z)$
 $P(z) = \dots$
 $n-2 = \dots$
 $\int G(z) dz = \dots$
 $z) = \int \frac{d^{2n} \Delta}{(G(z)) (W(z))} \dots$
 $\int \frac{d^{2n} \Delta}{(G(z)) (W(z))} \dots$

$t = \text{count} \text{ sels} / (\text{cut})$
 solutions for $\{z_1, z_2, \dots, z_{n-1}\}$
 $(n-1)$ -pt system
 $\sum_{k=1}^{n-1} q_k z_k = \sum_{k=1}^{n-1} (q_k z_k) z_k^{n-1}$
 formula
 BI
 ↓ dim red
 DBI
 → gauge cov of 9
 → naturally realized for set + cov
 Gen DBI
 $X \rightarrow l$
 → NLG
 → $\mu_n =$

H → WW(*) → lνlν

Results:

- Observed (expected) significance: 6.1σ (5.8σ)
- Observed (expected) significance for VBF: 3.2σ (2.7σ)

Combined WW → lνlν signal strength
 $\mu = 1.08^{+0.16}_{-0.15} \text{ (stat.)}^{+0.16}_{-0.13} \text{ (syst.)}$



$f(z) dz = K_n \Leftrightarrow \omega(z)$
 $\int f(z) \omega(z) = \sum_{k=1}^n \frac{K_k K_n}{(z-z_k)(z-z_n)}$
 $z) = \prod_{k=1}^n (z-z_k) \omega'(z)$
 $P^{(n)}(z) =$
 $n-2 =$
 $z \rightarrow \eta$
 $\int \frac{d^{2n} \Delta}{(G(\Delta)) (W(\Delta)) (U(\Delta))}$
 $\int \frac{d^{2n} \Delta}{S(U) = G(\Delta)}$
 $\int \frac{d^{2n} \Delta}{(U(\Delta)) (W(\Delta)) (S(\Delta))}$

$t = \text{count} \text{ sels } |$
 (get)
 solutions for $\{z_1, z_2, \dots, z_{n-1}\}$
 $(n-1)$ -pt system
 $\left(\sum_{k=1}^{n-1} q_k \right) z_n^{n-2} = \left(\sum_{k=1}^{n-1} (q_k z_k) \right) z_n^{n-3}$
 formula
 BI
 ↓ dim red
 DBI
 ↓ imm. abelian
 gen. DBI
 $x \cdot l$
 ↓
 NLSM
 S Gal
 $\mu_n = \int d\mu_n \mathbb{I}_n \mathbb{I}_n$

H decays to fermions $b\bar{b}, \tau\bar{\tau}$

$f(z) dz = K_a \Leftrightarrow w(z)$
 ϵ
 $f(z) w(z) = z \sum_{a=1}^n \frac{K_a K_a}{(z-z_a)(z-\bar{z}_a)}$
 $z) = \prod_{a=1}^n (z-z_a) w^*(z)$
 $P^*(z) =$
 $n-2 =$
 $\int_{\mathcal{C}} G(z) dz$
 $z \cdot n) = \int \frac{d^{2n} \Delta}{(G(z)) (W(z) - \epsilon)}$
 $\int_{\mathcal{C}} G(z) dz$
 $\begin{pmatrix} 1 & & & \\ & 0 & & \\ & & \ddots & \\ & & & 0 \end{pmatrix}$

$t = \text{count} / \text{Sels} / (\text{y} \cdot \text{t})$

solutions for $\{z_1, z_2, \dots, z_{n-1}\}$

$(n-1)$ -pt system

$$\left(\sum_{k=1}^{n-1} q_k \right) z_n^{n-2} = \left(\sum_{k=1}^{n-1} (q_k z_k) \right) z_n^{n-2}$$

γ -E formula

BI
 \downarrow dim red
 @ gauge end of 9

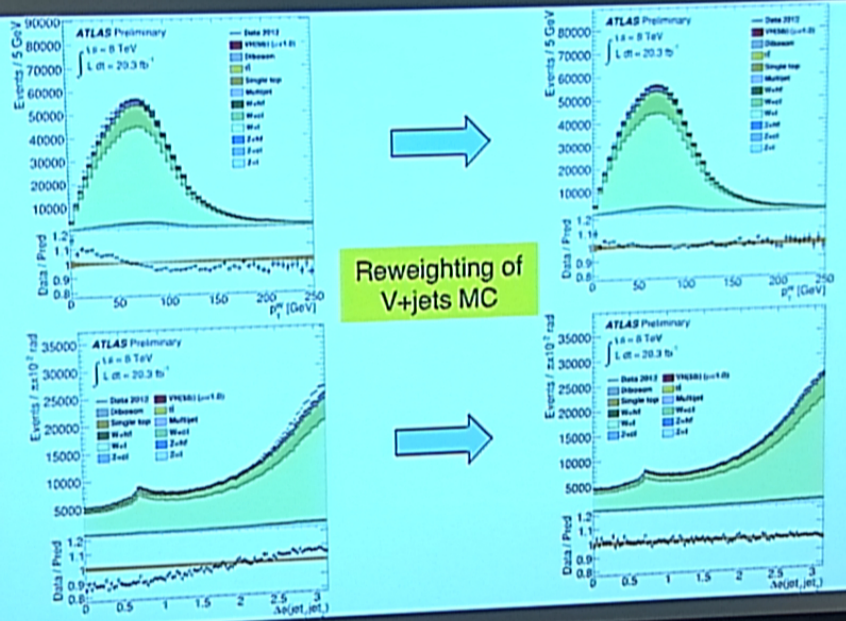
DBI
 $\lambda \rightarrow \uparrow$ imm-ahed

gen DBI
 $\times \ell$

\rightarrow NL SM

$\rightarrow \mu_n = \int \mathcal{L}_n \mathbb{I}_n \mathbb{I}_n$

VH (H \rightarrow bb)



Reweighting of V+jets MC

$$f(z) dz = K_n \Leftrightarrow W(z)$$

$$f(z) W(z) = Z \sum_{k=1}^n \frac{K_k K_n}{(z-z_k)(z-z_n)}$$

$$Z = \prod_{k=1}^n (z-z_k) W'(z)$$

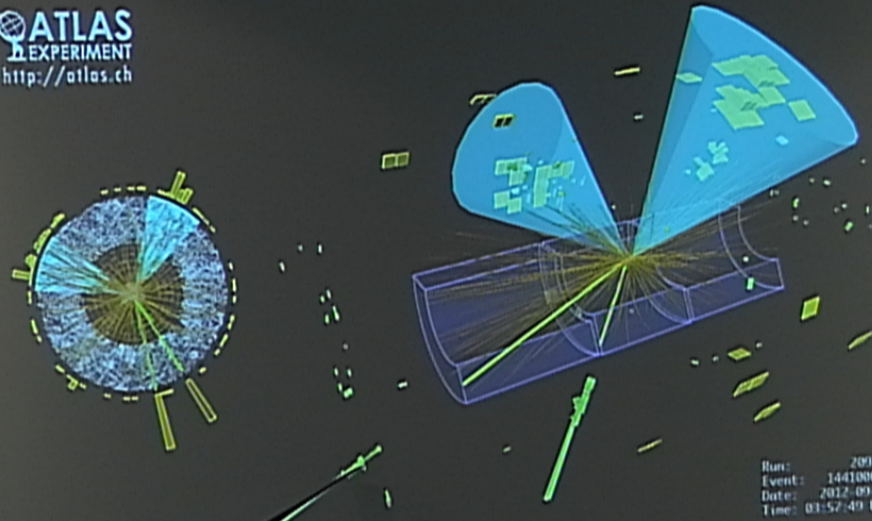
$$P(z) = \dots$$

$$Z_n = \int \frac{d^{2n} \Delta}{(G(\Delta)) (W(\Delta)) (A(\Delta))}$$

$$f(z, \eta) = \dots$$

$t = \text{count} / \text{det}$ Sels 1
 solutions for $\{z_1, z_2, \dots, z_{n-1}\}$
 (n-1)-pt system
 $\left(\sum_{k=1}^{n-1} q_k \right) z_n^{n-2} = \left(\sum_{k=1}^{n-1} (q_k z_k) \right) z_n^{n-3}$
 BI formula
 BI
 ↓ dim red
 DBI
 ↑ invariance
 gen. DBI
 $x \cdot l$
 ↓
 NLSM
 S Gal
 $\mu_n = \int d\mu_n \mathbb{I}_n \mathbb{I}_n$

ATLAS
 EXPERIMENT
<http://atlas.ch>



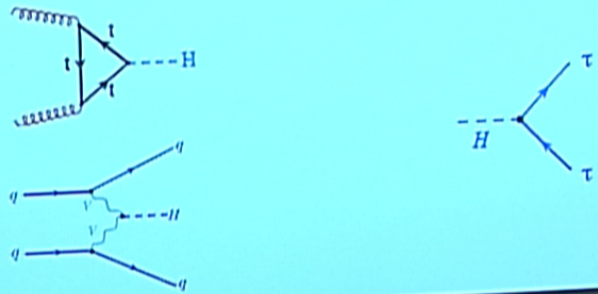
Run: 209787
 Event: 144100646
 Date: 2012-09-05
 Time: 03:57:49 UTC

$f'(z) dz = K'_n \Leftrightarrow W(z)$
 $\int f'(z) W(z) dz = Z \sum_{a=1}^n \frac{K_a K'_a}{(z-z_a)(z-z'_a)}$
 $Z) = \prod_{a=1}^n (z-z_a) W'(z)$
 $P(z) = \dots$
 $n-2 = \dots$
 $G(z) = \dots$
 $Z(n) = \int \frac{d^{2n} \Delta}{(G(z)) (W(z) - \dots)}$
 $f(z, \eta) = \dots$
 $\begin{pmatrix} 1 & & & \\ & 0 & & \\ & & 1 & \\ & & & 0 \end{pmatrix}$

$t = \text{count sels} / (y \cdot t)$
 solutions for $\{z_1, z_2, \dots, z_{n-1}\}$
 $(n-1)$ -pt system
 $\sum_{i=1}^{n-1} q_i k_i z_i^{n-1} = \left(\sum_{i=1}^{n-1} (q_i k_i) z_i \right) z_i^{n-2}$
 formula
 BI
 ↓ dim red
 DBI
 ↓ imm-ation
 gen DBI
 S Gal

H → ττ

- Production depends on coupling to top quark (in SM) and WBF+ VH production (coupling to Z/W bosons)
- Decay depends on coupling to taus (coupling to leptons)
- Cross section times branching ratio is relatively high
- Challenging final state:
 - Large backgrounds
 - Sensitive to pileup, was an extra challenge in 2012



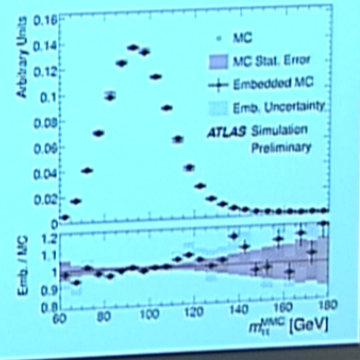
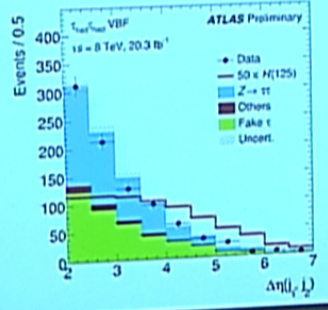
46

$f(z) dz = K_n \Leftrightarrow \omega(z)$
 $\int f(z) \omega(z) = 2 \sum_{a=1}^n \frac{k_a k_a}{(z-z_a)(z-\bar{z}_a)}$
 $z) = \prod_{a=1}^n (z-z_a) \omega^*(z)$
 $P^{(n)}(z) = \dots$
 $\int \dots$
 $\int \dots$
 $\int \dots$

$t = \text{count} \text{ sels} / (\Delta t)$
 solutions for $\{z_1, z_2, \dots, z_{n-1}\}$
 $(n-1)$ -pt system
 $\sum_{k=1}^{n-1} q_k z_k = \sum_{k=1}^{n-1} (q_k z_k) z_k^{n-1}$
 BI
 ↓ dim red
 DBI
 ↓
 gen DBI
 $x \cdot l$
 ↓
 NLSM
 $\mu_n = \int d\mu_n$

H → ττ

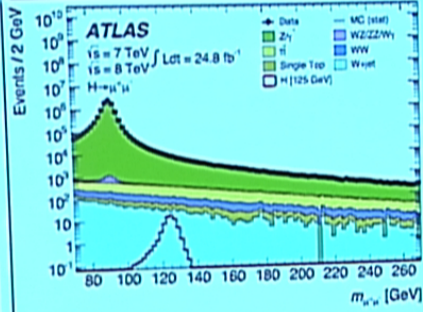
- 3 analysis channels ($e\mu$, $\mu\mu$), ($e\tau_h$, $\mu\tau_h$), ($\tau_h\tau_h$)
- Discrimination mainly using:
 - $\tau\tau$ mass reconstruction
 - Missing mass calculator (MMC) resolution ~15-20%
 - $\tau\tau$ p_T (boosted category)
 - VBF topology e.g. $\Delta\eta_{jj}$
- Backgrounds
 - $Z \rightarrow \tau\tau$: $Z \rightarrow \mu\mu$ (data) with embedding
 - $Z \rightarrow ee$, W +jets, $t\bar{t}$ bar: CRs (MC for the shapes)
 - QCD: Shapes and normalization from CRs



$\int (z) dz = K_n \Leftrightarrow \omega(z)$
 $\int (z) \omega(z) = \sum_{k=1}^n \frac{K_k K_n}{(z-z_k)(z-z_n)}$
 $z) = \prod_{k=1}^n (z-z_k) \omega'(z)$
 $P^{(n)}(z) = \dots$
 $n-2 = \dots$
 $\int G(z) dz = \dots$
 $z = n) = \int \frac{d^{2n} \Delta}{(G(z)) (W(z) - \dots)}$
 $\int (z, \eta) = \dots$
 $\int (z, \eta) = \dots$
 $\int (z, \eta) = \dots$

$t = \text{count} \text{ sels} / (\text{y} \cdot \text{e} \cdot \text{t})$
 solutions for $\{z_1, z_2, \dots, z_{n-1}\}$
 $(n-1)$ -pt system
 $\sum_{k=1}^n q_k z_k = \sum_{k=1}^n (q_k z_k) z_k^{n-1}$
 BI
 ↓ dim red
 DBI
 ↓
 gen. DBI
 $x \rightarrow l$
 $l \rightarrow \mu$
 NL SM
 $\mu_n = \int d\mu$

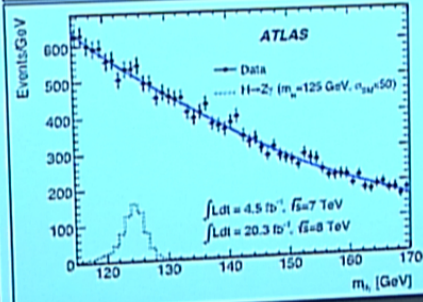
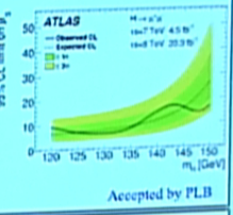
RARE DECAYS



$\mu^+ \mu^-$ Analysis strategy
 - 2 analysis channels (ggF and VBF)
 - Analytic background model (similarly to $\gamma\gamma$)

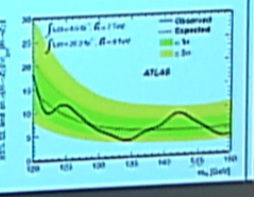
Results at 95% CL:
 $\sigma \cdot \text{Br} < 7.0 (7.2) (\sigma \cdot \text{Br})_{\text{SM}}$

Universal couplings
 ~260 times SM



$Z\gamma$ Analysis strategy
 - Detector and pT Categories
 - Analytic background model (similarly to $\gamma\gamma$)

Results at 95% CL:
 $\sigma \cdot \text{Br} < 11 (9) (\sigma \cdot \text{Br})_{\text{SM}}$



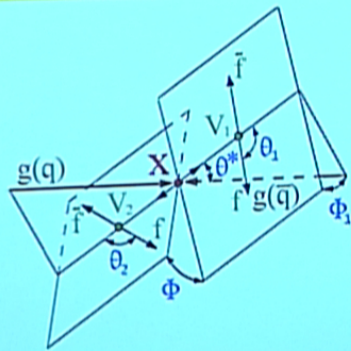
$\int (z) dz = K_n \Leftrightarrow \omega(z)$
 $\int (z) \omega(z) = \sum_{k=0}^n \frac{K_k K_n}{(z-z_k)(z-z_n)}$
 $z_j = \prod_{k=1}^n (z-z_k) \omega'(z)$
 $P^{(n)}(z) = \dots$
 $\int_{C_1} G(z) dz = \dots$
 $\int_{C_2} G(z) dz = \dots$
 $\int_{C_3} G(z) dz = \dots$

$t = \text{count} \text{ sels} / (\text{jet})$
 solutions for $\{z_1, z_2, \dots, z_{n-1}\}$
 $(n-1)$ -pt system
 $\sum_{i=1}^{n-1} q_i k_i z_i^{n-2} = \left(\sum_{i=1}^{n-1} (q_i k_i) z_i \right) z_i^{n-1}$
 formula
 BI
 \downarrow dim red
 DBI
 $\lambda \rightarrow 0$ \uparrow \downarrow \rightarrow \rightarrow
 gen DBI
 $x \quad l$
 \rightarrow \rightarrow
 NLS
 \rightarrow \rightarrow
 \rightarrow \rightarrow

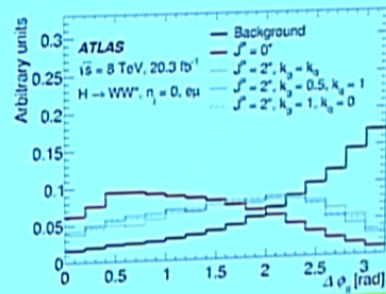
SPIN/CP HYPOTHESES TESTS

Tests of spin/CP properties performed in ZZ, $\gamma\gamma$, WW channels

ZZ: full kinematic information available for spin/CP determination



WW spin information from kinematic variables



$\gamma\gamma$: use $\cos(\theta^*)$ in Collins-Soper frame



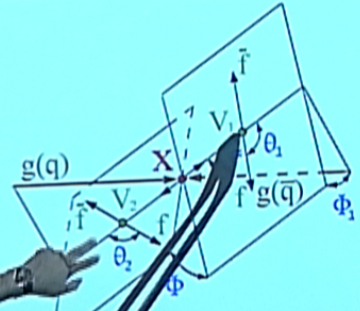
$\int_{z_1}^{z_2} dz = K_n \Leftrightarrow \omega(z)$
 $\int_{z_1}^{z_2} \omega(z) dz = \int_{z_1}^{z_2} \sum_{k=0}^n \frac{K_k K_n}{(z-z_k)(z-z_n)} dz$
 $\int_{z_1}^{z_2} \omega(z) dz = \int_{z_1}^{z_2} \prod_{k=1}^{n-1} \frac{z-z_k}{z-z_n} \omega(z) dz$
 $\int_{z_1}^{z_2} \omega(z) dz = \int_{z_1}^{z_2} \frac{d^{2n} \Delta}{(G(z))^{2n} (z-z_n)^{2n}}$
 $\int_{z_1}^{z_2} \omega(z) dz = \int_{z_1}^{z_2} \frac{d^{2n} \Delta}{(G(z))^{2n} (z-z_n)^{2n}}$
 $\int_{z_1}^{z_2} \omega(z) dz = \int_{z_1}^{z_2} \frac{d^{2n} \Delta}{(G(z))^{2n} (z-z_n)^{2n}}$

$t = \text{count} \text{ sels} / (\text{y} \cdot \text{et})$
 solutions for $\{z_1, z_2, \dots, z_{n-1}\}$
 $(n-1)$ -pt system
 $\sum_{i=1}^{n-1} q_i k_i z_i^{n-1} = \left(\sum_{i=1}^{n-1} (q_i k_i) z_i \right) z_i^{n-2}$
 formula
 BI
 \downarrow dim red
 DBI
 $\lambda \rightarrow 0$ \uparrow \downarrow \rightarrow \rightarrow
 gen. DBI
 $x \quad l$
 \rightarrow $MLSM$ \rightarrow $SGol$
 $\mu_n = \int d\mu_n \mathbb{I}_n \mathbb{I}_n$

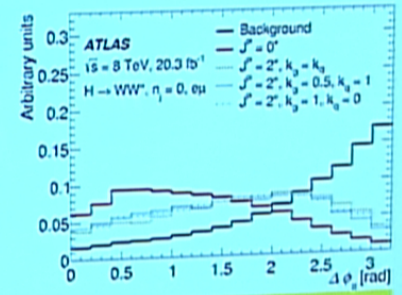
SPIN/CP HYPOTHESES TESTS

Tests of spin/CP properties performed in ZZ, $\gamma\gamma$, WW channels

ZZ: full kinematic information available for spin/CP determination



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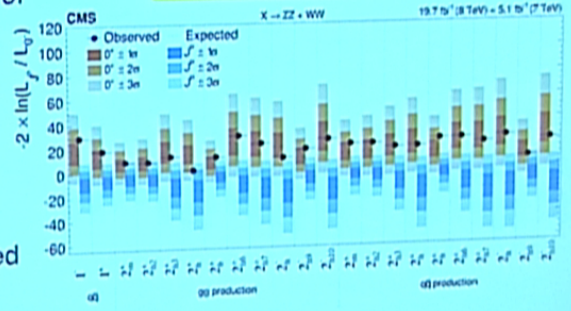
$\int_{z_1}^{z_2} dz = K_n \Leftrightarrow \omega(z)$
 $\int_{z_1}^{z_2} dz \omega(z) = \int_{z_1}^{z_2} dz \sum_{k=0}^n \frac{K_k K_n}{(z-z_k)(z-z_n)}$
 $\omega(z) = \prod_{k=1}^n \frac{K_k}{(z-z_k)} \omega^n(z)$
 $P^n(z) = \dots$
 $n-2 = \dots$
 $\int_{z_1}^{z_2} dz \omega(z) = \dots$
 $\int_{z_1}^{z_2} dz \omega(z) = \dots$
 $\int_{z_1}^{z_2} dz \omega(z) = \dots$

$t = \text{count} \text{ sels} / (\text{jet})$
 solutions for $\{z_1, z_2, \dots, z_{n-1}\}$
 $(n-1) - p_t$ system
 $\sum_{k=1}^n q_k z_k = \sum_{k=1}^n (p_k z_k) z_k$
 BI
 ↓ dim red
 DBI
 ↓ imm-abelian
 gen. DBI
 $x \rightarrow l$
 ↓
 NLSM
 $\mu_n = \int d\mu_n \mathbb{I}_n \mathbb{I}_n$

SPIN AND PARITY TESTS

- Probe deviations from SM of decay kinematics
- Results favour the spin 0⁺ hypothesis and almost all spin 1 and 2 variants excluded at > 95%
- 0⁻ hypothesis also excluded at > 95% CL by both experiments

Also Tevatron results: arXiv:1502.00967



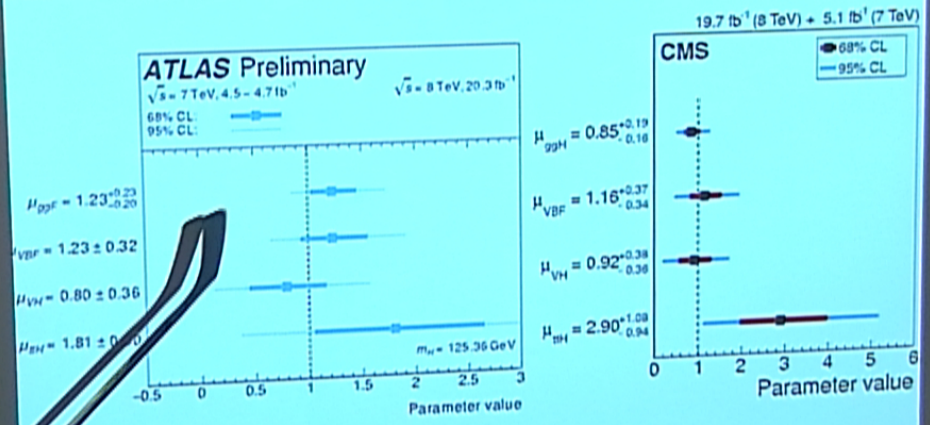
Tested Hypothesis	$P_{exp, \mu=1}^{ALT}$	$P_{exp, \mu=h}^{ALT}$	P_{obs}^{SM}	P_{obs}^{ALT}	Obs. CL _s (%)
0 ⁺ _h	$2.5 \cdot 10^{-2}$	$4.7 \cdot 10^{-3}$	0.85	$7.1 \cdot 10^{-5}$	$4.7 \cdot 10^{-2}$
0 ⁻	$1.8 \cdot 10^{-3}$	$1.3 \cdot 10^{-4}$	0.88	$< 3.1 \cdot 10^{-5}$	$< 2.6 \cdot 10^{-2}$
2 ⁺	$4.3 \cdot 10^{-3}$	$2.9 \cdot 10^{-4}$	0.61	$4.3 \cdot 10^{-5}$	$1.1 \cdot 10^{-2}$
2 ⁺ ($\kappa_q = 0$; $p_T < 300$)	$< 3.1 \cdot 10^{-5}$	$< 3.1 \cdot 10^{-5}$	0.52	$< 3.1 \cdot 10^{-5}$	$< 6.5 \cdot 10^{-3}$
2 ⁺ ($\kappa_q = 0$; $p_T < 125$)	$3.4 \cdot 10^{-3}$	$3.9 \cdot 10^{-4}$	0.71	$4.3 \cdot 10^{-5}$	$1.5 \cdot 10^{-2}$
2 ⁺ ($\kappa_q = 2\kappa_g$; $p_T < 300$)	$< 3.1 \cdot 10^{-5}$	$< 3.1 \cdot 10^{-5}$	0.28	$< 3.1 \cdot 10^{-5}$	$< 4.3 \cdot 10^{-3}$
2 ⁺ ($\kappa_q = 2\kappa_g$; $p_T < 125$)	$7.8 \cdot 10^{-3}$	$1.2 \cdot 10^{-3}$	0.80	$7.3 \cdot 10^{-5}$	$3.7 \cdot 10^{-2}$

$\int (z_i) dz = K_a \Leftrightarrow \omega(z)$
 $\int (z) \omega(z) = 2 \sum_{a=1}^n \frac{K_a K_a}{(z-z_a)(z-\bar{z}_a)}$
 $z_j = \prod_{a=1}^n (z-z_a) \omega^j(z)$
 $P^{(j)}(z) = \dots$
 $n-2 = \dots$
 $\int (z) \omega(z) = \dots$
 $\int (z) \omega(z) = \dots$
 $\int (z) \omega(z) = \dots$

$t = \text{count} \text{ sels} / (\text{jet})$
 solutions for $\{z_1, z_2, \dots, z_{n-1}\}$
 $(n-1)$ -pt system
 $\sum_{k=1}^n q_k z_k = \sum_{k=1}^n (p_k z_k) z_k$
 formula
 BI
 ↓ dim red
 DBI
 ↓
 gen. DBI
 $x \rightarrow l$
 $l \rightarrow$
 NLSM
 $\mu_n = \int d\mu_n$

SIGNAL STRENGTH FOR PRODUCTION MODES

Obtain production signal strengths assuming the SM ratios for branching ratios



$f'(z) dz = K_n \Leftrightarrow \omega(z)$
 $\int f'(z) \omega(z) = \int \sum_{k=1}^n \frac{K_k K_n}{(z-z_k)(z-z_n)}$
 $z) = \prod_{k=1}^n (z-z_k) \omega'(z)$
 $P(z) = \dots$
 $n-2 = \dots$
 $\int G(z) dz = \dots$
 $\int \frac{d^{2n} \Delta}{(G(z))^{n+1/2}}$
 $\int \frac{d^{2n} \Delta}{(G(z))^{n+1/2}}$

COUPLINGS FRAMEWORK

$$\begin{aligned}
 \mathcal{L} = & \kappa_3 \frac{m_H^2}{2v} H^3 + \kappa_Z \frac{m_Z^2}{v} Z_\mu Z^\mu H + \kappa_W \frac{2m_W^2}{v} W_\mu^+ W^{-\mu} H \\
 & + \kappa_g \frac{\alpha_s}{12\pi v} G_{\mu\nu}^a G^{a\mu\nu} H + \kappa_\gamma \frac{\alpha}{2\pi v} A_{\mu\nu} A^{\mu\nu} H + \kappa_{Z\gamma} \frac{\alpha}{\pi v} A_{\mu\nu} Z^{\mu\nu} H \\
 & + \kappa_{VV} \frac{\alpha}{2\pi v} (\cos^2 \theta_W Z_{\mu\nu} Z^{\mu\nu} + 2 W_{\mu\nu}^+ W^{-\mu\nu}) H \\
 & - \left(\kappa_t \sum_{f=u,c,t} \frac{m_f}{v} f\bar{f} + \kappa_b \sum_{f=d,s,b} \frac{m_f}{v} f\bar{f} + \kappa_\tau \sum_{f=e,\mu,\tau} \frac{m_f}{v} f\bar{f} \right) H
 \end{aligned}$$

•“κ framework”: signal strength parameters (μ_p, μ_{BR}^i) are further interpreted in terms of modifiers to the SM couplings:

- Decay: $\Gamma_i = \kappa_i^2 \Gamma_i^{\text{SM}}$
- Production: $\sigma_i = \kappa_i^2 \sigma_i^{\text{SM}}$
- Width: $\Gamma_H = \sum_i \kappa_i^2 \Gamma_i^{\text{SM}}$

Assumptions (see LHCXSWG YR3):

- Only one Higgs
- SM production and decay kinematics
 - Tensor structure is that of SM
 - 0+ scalar
- Narrow resonance

COUPLINGS FRAMEWORK

- Loops and interference:

- Encoded in effective couplings κ_γ, κ_g



Example: $gg \rightarrow H \rightarrow \gamma\gamma$

$$\frac{(\sigma \cdot \text{BR})(gg \rightarrow H \rightarrow \gamma\gamma)}{\sigma_{\text{SM}}(gg \rightarrow H) \cdot \text{BR}_{\text{SM}}(H \rightarrow \gamma\gamma)} = \frac{\kappa_g^2 \cdot \kappa_\gamma^2}{\kappa_H^2}$$

- In terms of SM coupling modifiers:

$$\kappa_g^2(\kappa_t, \kappa_b) = 1.06 \cdot \kappa_t^2 - 0.07 \cdot \kappa_t \kappa_b + 0.01 \cdot \kappa_b^2$$

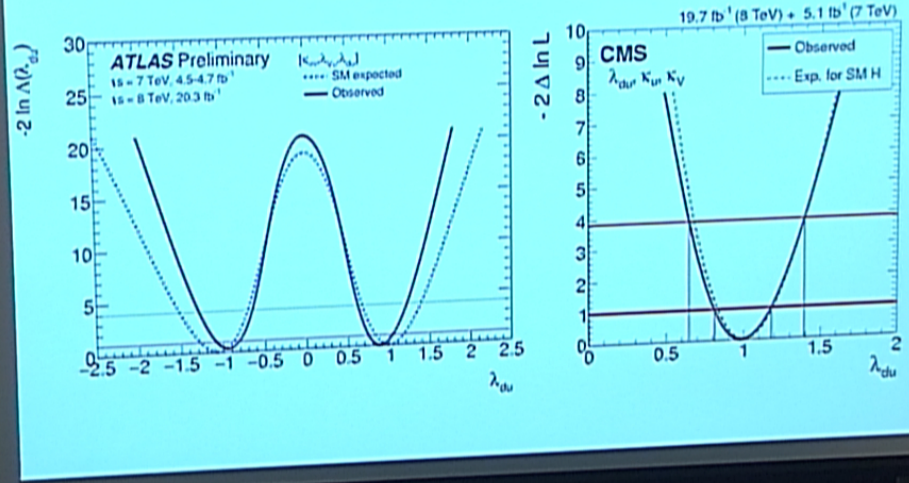
$$\kappa_\gamma^2(\kappa_F, \kappa_V) = 1.59 \cdot \kappa_V^2 - 0.66 \cdot \kappa_V \kappa_F + 0.07 \cdot \kappa_F^2$$

- BSM coloured or charged particles in loops could cause deviations

$t = \text{count} \text{ sels} / (\text{jet})$
 solutions for $\{z_1, z_2, \dots, z_{n-1}\}$
 $(n-1)$ -pt system
 $\sum_{i=1}^n q_i K_i z_i^{n-1} = \sum_{i=1}^n (q_i K_i) z_i^{n-1}$
 formula
 BI
 ↓ dim red
 DBI
 ↓
 gen. DBI
 $x \rightarrow l$
 $l \rightarrow$
 NLSM
 $\mu_n = \int d\mu_n \mathbb{I}_n$

UP/DOWN COUPLINGS

Check coupling ratios between up-type and down-type fermions (motivated by e.g. two Higgs doublet scenarios)



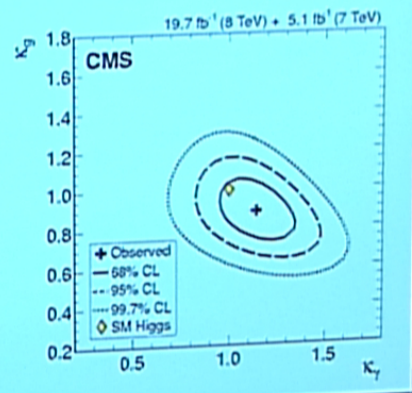
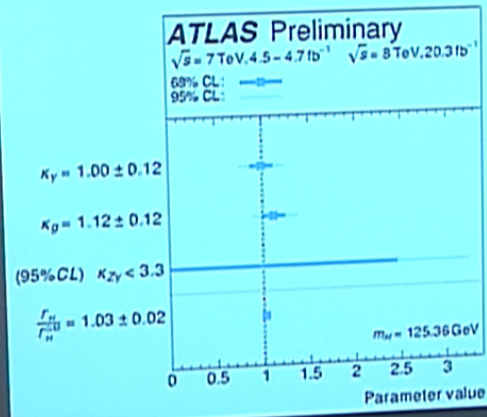
$f(z) dz = K_n \Leftrightarrow \omega(z)$
 $\int f(z) \omega(z) = 2 \sum_{a=1}^n \frac{K_a K_n}{(z-z_a)(z-z_n)}$
 $z) = \prod_{a=1}^n (z-z_a) \omega'(z)$
 $P(z) = \dots$
 $n-2 = \dots$
 $z \rightarrow \eta$
 $\int \frac{d^{2n} \Delta}{(G(\Delta))^{n-1} (H(\Delta))^{n-1}}$
 $\int \frac{d^{2n} \Delta}{(G(\Delta))^{n-1} (H(\Delta))^{n-1}}$

$t = \text{count} \text{ sels} / (\text{jet})$
 solutions for $\{z_1, z_2, \dots, z_{n-1}\}$
 $(n-1)$ -pt system
 $\sum_{i=1}^{n-1} q_i K_i z_i^{n-1} = \sum_{i=1}^{n-1} (p_i K_i) z_i^{n-1}$
 BI
 ↓ dim red
 DBI
 ↓ imm-ation
 gen DBI
 $x \rightarrow$
 NL
 gauge cov of g
 @ non-linearly realized
 for int + cov
 14%
 $\rightarrow p$
 S Gal

NEW PHYSICS IN THE LOOPS?

Test for "heavy" BSM physics (BSM particles $> m_H/2$) with possible contributions to ggH , $H\gamma\gamma$ (and $HZ\gamma$) loops

- Assume no contributions to width from BSM particles
- Assume SM tree-level couplings for known particles



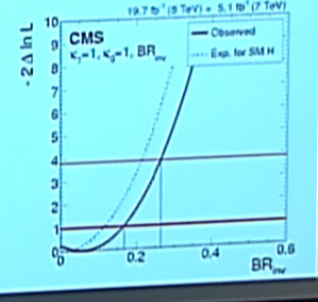
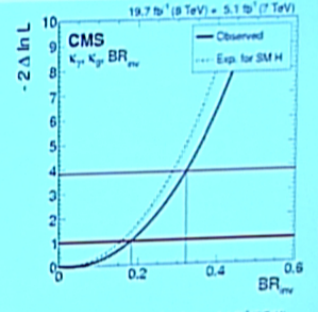
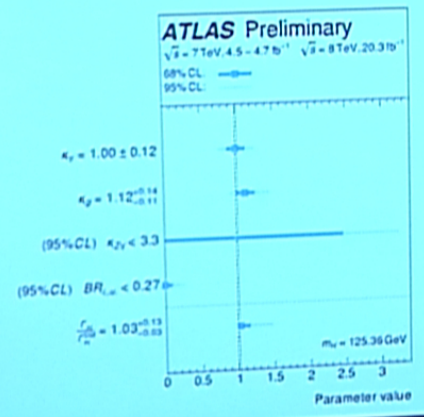
$\int (z) dz = K_n \Leftrightarrow \omega(z)$
 $\int (z) \omega(z) = 2 \sum_{a=1}^n \frac{K_a K_a}{(z-z_a)(z-\bar{z}_a)}$
 $z = \prod_{a=1}^n (z-z_a) \omega'(z)$
 $P(z) = \dots$
 $n-2 = \dots$
 $\int G(z) dz = \dots$
 $\int \frac{d^{2n} \Delta}{(G(z))^{n+1/2} (H(z))^{n+1/2}}$
 $\int \frac{d^{2n} \Delta}{(G(z))^{n+1/2} (H(z))^{n+1/2}}$

$t = \text{count} \text{ sels} / (\text{jet})$
 solutions for $\{z_1, z_2, \dots, z_{n-1}\}$
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 $\sum_{i=1}^{n-1} q_i K_i z_i^{n-1} = \left(\sum_{i=1}^{n-1} (q_i K_i) z_i \right) z_i^{n-2}$
 formula
 BI
 ↓ dim red
 DBI
 ↓
 gen. DBI
 $X \cdot l$
 ↓
 NLSM
 $\mu_n = \int d^4x$

NEW PHYSICS IN THE LOOPS?

Allow for contributions from BSM particles with mass $< m_H/2$

- Relax assumption on the width
- Bottom right: include direct limits

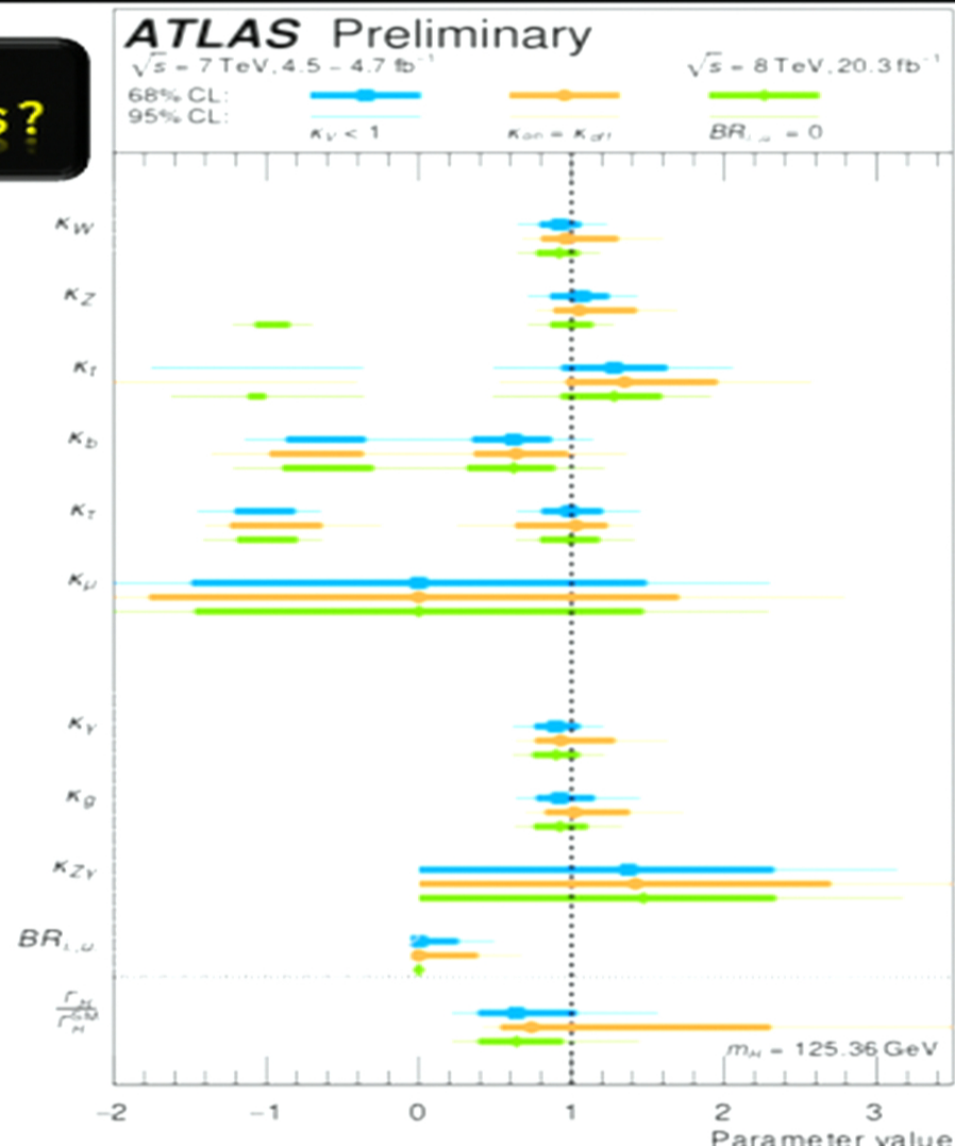


$\int (z) dz = K_n \Leftrightarrow \omega(z)$
 $\int (z) \omega(z) = 2 \sum_{i=1}^n \frac{K_i K_i}{(z-z_i)(z-\bar{z}_i)}$
 $z_j = \prod_{i=1}^n (z-z_i) \omega^j(z)$
 $P^j(z) = \dots$
 $n-2 = \dots$
 $\int d^2z \Delta$
 $\int_{S^2} G(z) = G(z)$
 $\int_{S^2} G(z) = G(z)$
 $\int_{S^2} G(z) = G(z)$

NEW PHYSICS IN THE LOOPS?

Relax assumptions on SM couplings of known particles and consider various scenarios:

- Blue squares: models with Higgs singlets or doublets $\kappa_V \leq 1$. Impose this constraint on gauge couplings in the fit
- Orange circles: add off-shell measurements assuming on-shell couplings equal to off-shell couplings
- Green diamond: impose no contributions to the width from BSM particles



CONCLUSIONS

- The Run I Higgs physics program that covered a wide array of measurements and searches is essentially complete
 - The measurements of the production and decay properties of the Higgs boson are consistent with SM predictions
 - The SM 0^+ hypothesis is preferred over all other tested spin/parity alternatives (almost all excluded at $> 95\%$ CL)
 - Tests of coupling strengths consistent with SM: ongoing combination between CMS and ATLAS
 - To test the consistency with the SM with higher precision will require substantial effort in improving experimental techniques, MC generators, and theory calculations (for both signal but also many backgrounds)
- We have a very exciting and challenging Higgs physics program for Run II

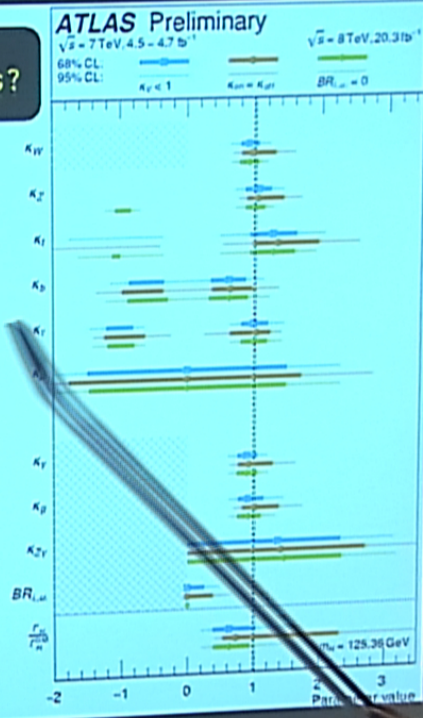
Thanks to Eilam Gross and Michael Duehrssen for contributing slide material

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 $\sum_{i=1}^n q_i k_i z_i^{n-2} = \left(\sum_{i=1}^n (p_i k_i) z_i \right) z_i^{n-2}$
 formula
 BI
 ↓ dim red
 DBI
 ↓ non-linear realization
 gen. DBI
 x, l
 ↓
 NLSM
 S Gal

NEW PHYSICS IN THE LOOPS?

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- Orange circles: add off-shell measurements assuming on-shell couplings equal to off-shell couplings
- Green diamond: impose no contributions to the width from BSM particles



$\int (z) dz = K_n \Leftrightarrow W(z)$
 $\int (z) W_n(z) = Z \sum_{i=1}^n \frac{K_i K_i}{(z-z_i)(z-z_i)}$
 $Z = \prod_{i=1}^n (z-z_i) W'(z)$
 $P^{(n)}(z) = \dots$
 $n-2 = \dots$
 $\int G(z) dz = \dots$
 $\int \frac{d^{2n} \Delta}{(G(z))^{(n+1/2)}} \dots$
 $\int \frac{d^{2n} \Delta}{(G(z))^{(n+1/2)}} \dots$
 $\int \frac{d^{2n} \Delta}{(G(z))^{(n+1/2)}} \dots$