

Title: Cosmology & Observations: Galaxy clustering

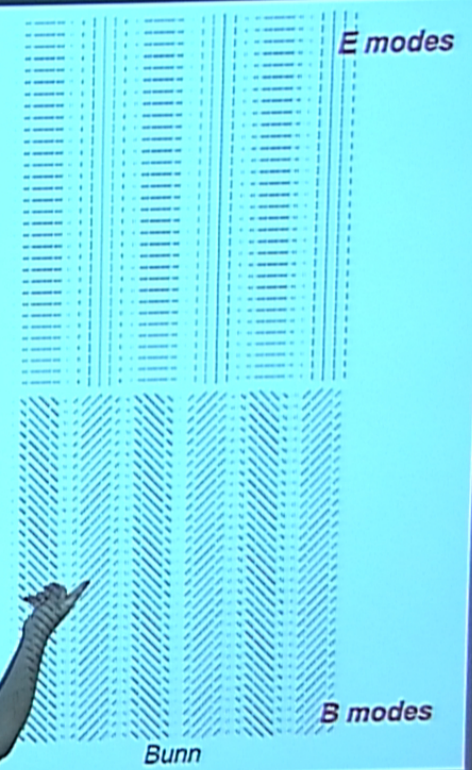
Date: Jul 15, 2015 11:45 AM

URL: <http://pirsa.org/15070049>

Abstract:

E-modes/B-modes

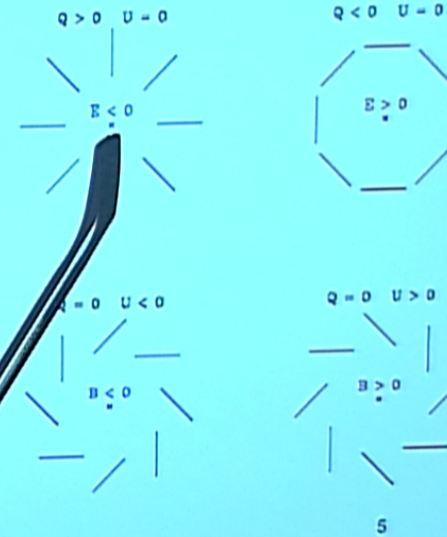
- E-modes vary spatially parallel or perpendicular to polarization direction
- B-modes vary spatially at 45 degrees
- CMB
 - scalar perturbations only generate *only* E



Another View of E/B

M. Zaldarriaga

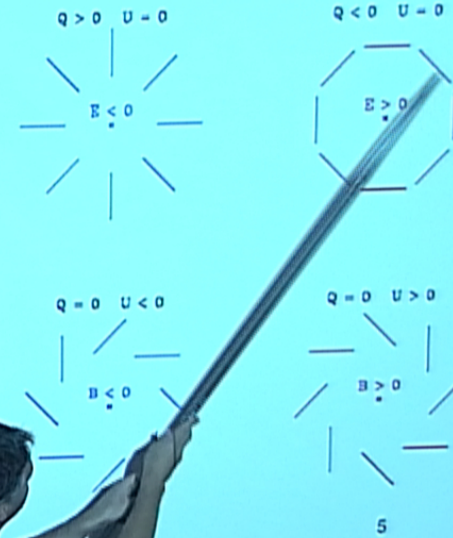
- E/B can be thought of as divergence/curl modes of polarization (but spin-2, not spin-1)



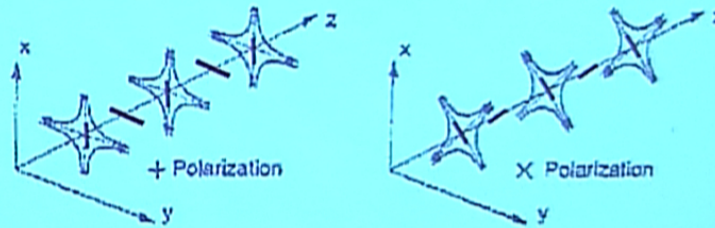
Another View of E/B

M. Zaldarriaga

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Gravitational Waves Generate E and B

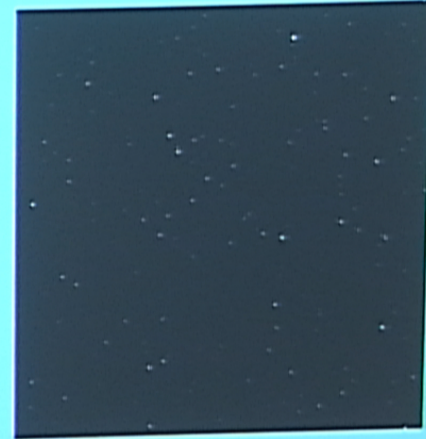


B modes are a great probe of gravitational radiation in the early universe!!

8

Galaxy Surveys

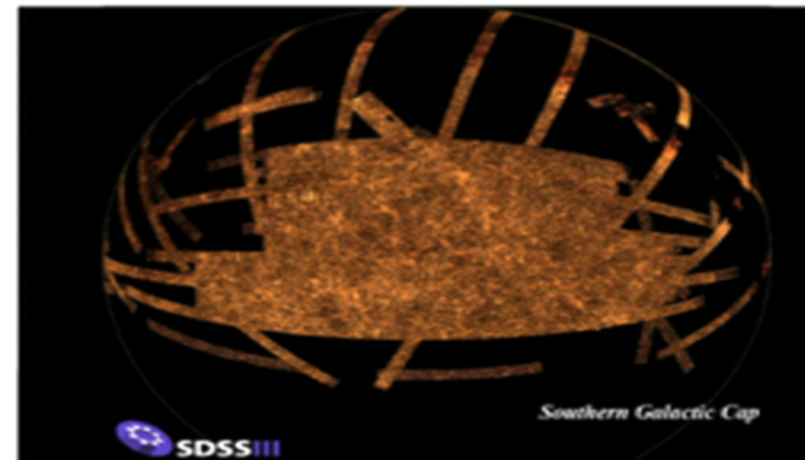
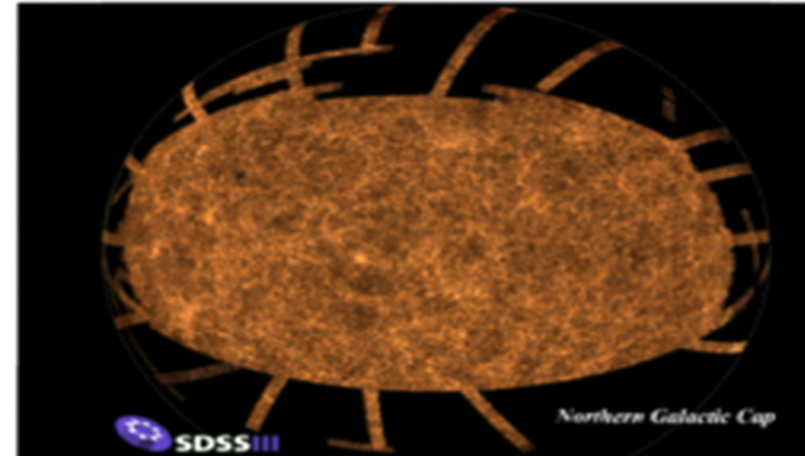
- look at a patch of extragalactic sky, count up galaxies



https://archive.stsci.edu/cgi-bin/dss_form

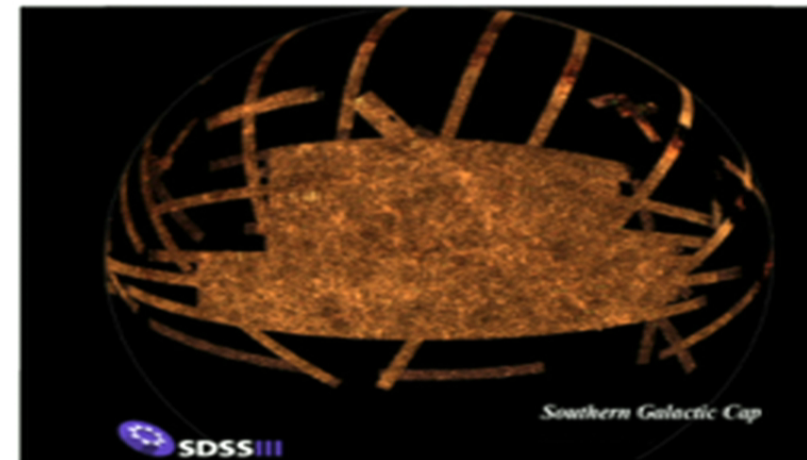
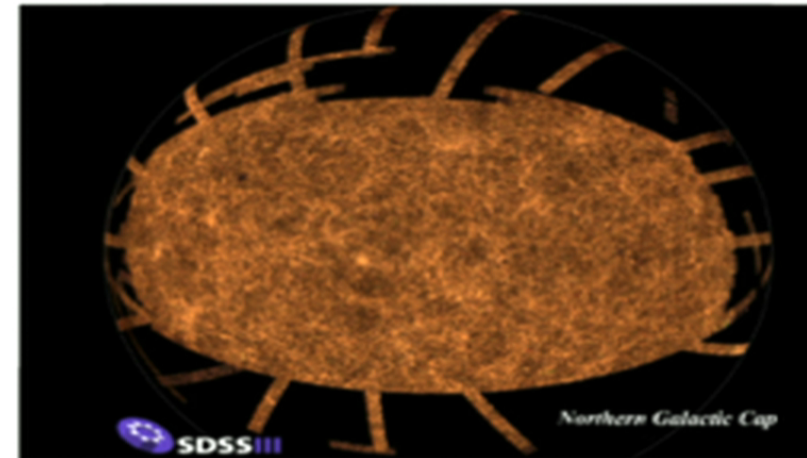
Is the galaxy distribution random?

- hard to say, looks sort of random...
- survey geometry pretty clear
- looks a bit too wispy and splotchy to be random?



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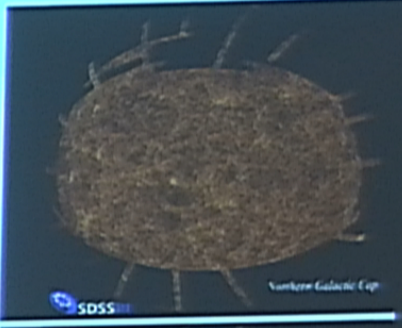



$D \sim c H_0^{-1} z$
 (3000 Mpc)
 $D(z=0.33) \sim 1 \text{ Gpc}$
 $M31 \lesssim 1 \text{ Mpc}$
 $\theta \sim \frac{r}{D} \sim \frac{1}{1000} \theta_{M31}$
 $1^\circ \sim 3600''$

$N_{\text{pairs}}(D) = \frac{n^2}{2} [1 + b]$

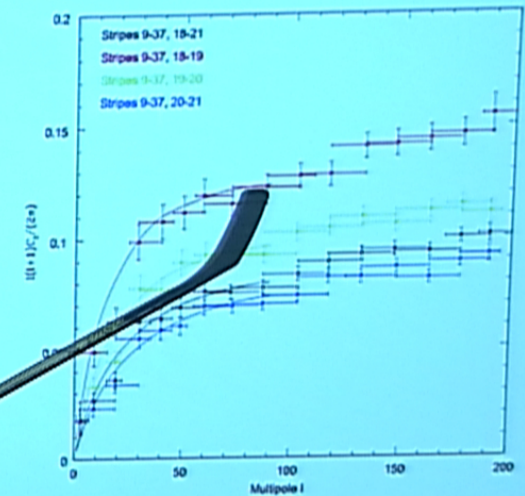
Is the galaxy distribution random?

- hard to say, looks sort of random...
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- looks a bit too wispy and splotchy to be random?

Angular Power Spectrum of Galaxy Number Density

- can equally well work in harmonic space
- strong dependence of galaxy clustering on exactly which sample is used
- brighter galaxies (smaller magnitude) show stronger clustering
- which galaxies are reflecting the real mass distribution?



Hayes et al 2012

$$D \sim c H_0^{-1} z$$

(3000 Mpc)

$$D(z=0.33) \sim 1 \text{ Gpc}$$

$$M31 \approx 1 \text{ Mpc}$$

$$\theta \sim \frac{r}{D} \sim \frac{1}{1000} \theta_{\text{Mpc}}$$

$$1^\circ \sim 3600''$$

$$N_{\text{pairs}}(D) = \left(\frac{n}{2}\right)^2 [1 + W(D)]$$

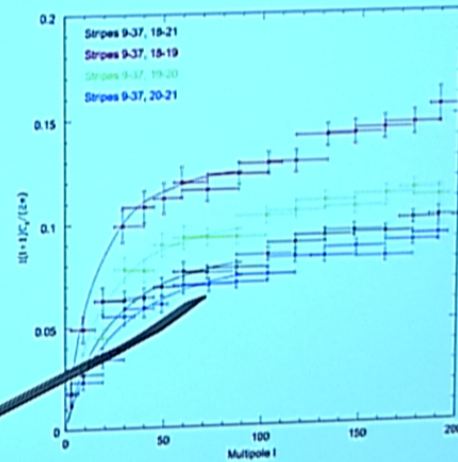
angular clustering scale dependence, just different amplitudes



$$W(\theta) = \frac{V}{k_B} \text{trans} \{ C_e \}$$

Angular Power Spectrum of Galaxy Number Density

- can equally well work in harmonic space
- strong dependence of galaxy clustering on exactly which sample is used
 - brighter galaxies (smaller magnitude) show stronger clustering
 - which galaxies are reflecting the real mass distribution?
 - similar clustering scale dependence, just different amplitudes

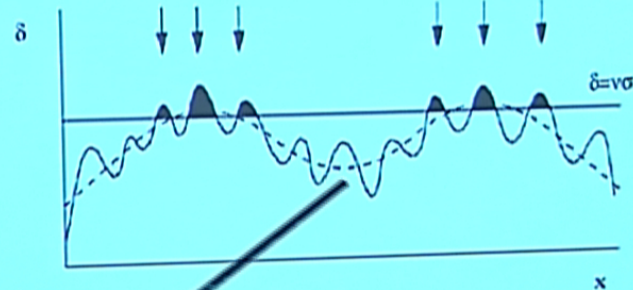


Hayes et al 2012

$$N_{\text{pairs}}(b) = \frac{N^2}{2} [1 + w(b)]$$

Galaxy Bias

Peacock <http://xxx.lanl.gov/abs/astro-ph/9705002>



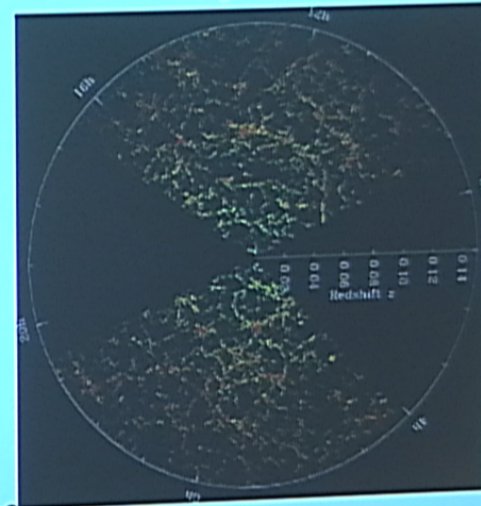
- galaxies only form at the peaks of the density field
- if galaxy formation has some threshold density required, then the galaxy contrast can be stronger than that of dark matter
- "peaks bias" developed by Kaiser in the 1980s
- net result is that overall amplitude of galaxy clustering is difficult to interpret on its own

$$N_{\text{pairs}}(\delta) = \left(\frac{N}{2}\right)^2 [1 + w(\delta)]$$

$$w(\delta) = \frac{3D^2}{2} \frac{w(\delta)}{w(\delta)}$$

3D Cosmology: Redshift Surveys

- measure the redshift and angular position of large numbers of galaxies
- use redshift as a proxy for distance along the line of sight because of Hubble flow



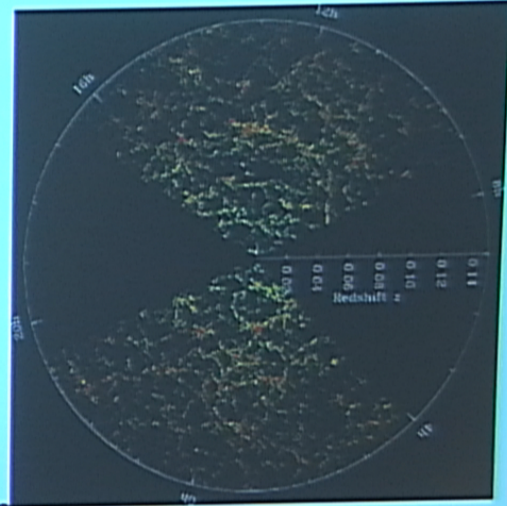
SDSS

$$N_{\text{pairs}}(b) = \left(\frac{1}{2}\right) [1 + w(b)]$$

3D
w(r)

3D Cosmology: Redshift Surveys

- measure the redshift and angular position of large numbers of galaxies
- use redshift as a proxy for distance along the line of sight because of Hubble flow



SDSS

$$D \sim c H_0^{-1} z$$
 (3000 Mpc)

$$D(z=0.33) \sim$$

$$M31 \sim 1 \text{ m}$$

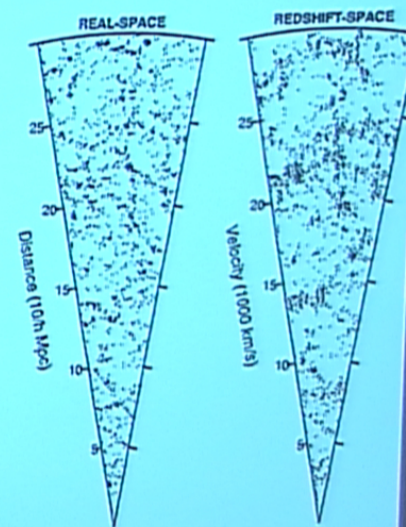
$$\theta \sim \frac{r}{D}$$

$$N_{\text{pairs}}(D) = \left(\frac{D^2}{2}\right) [1 + W(D)]$$

$$\Gamma(z)$$

Redshift space distortions

- angular position correct, but line of sight distance distorted by Doppler shifts due to "peculiar velocities"
- tendency toward more sheet-like structures ("great walls"), as well as some things extra-extended along the line of sight ("fingers of God")



Praton et al 1997

$$D \sim c H_0^{-1} z$$

(3000 Mpc)

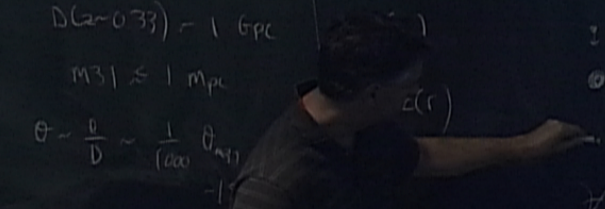
$$D(z=0.33) \sim 1 \text{ Gpc}$$

$$M31 \sim 1 \text{ Mpc}$$

$$\theta \sim \frac{r}{D} \sim \frac{1}{1000} \theta_{M31}$$

$$N_{\text{pairs}}(D) = \left(\frac{1}{2}\right)^2 [1 + W(D)]$$

$$z(r)$$



$$D \sim \frac{c}{H_0 z} \quad (3000 \text{ Mpc})$$

$$D(z=0.73) \sim 1 \text{ Gpc}$$

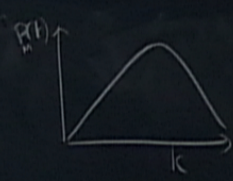
$$M_{31} \sim 1 \text{ Mpc}$$

$$\theta \sim \frac{r}{D} \sim \frac{1}{1000} \theta_{M_{31}} \sim 1'' \sim 3600''$$

$$N_{\text{pairs}}(D) = \left(\frac{1}{2} \right) [1 + W(D)]$$

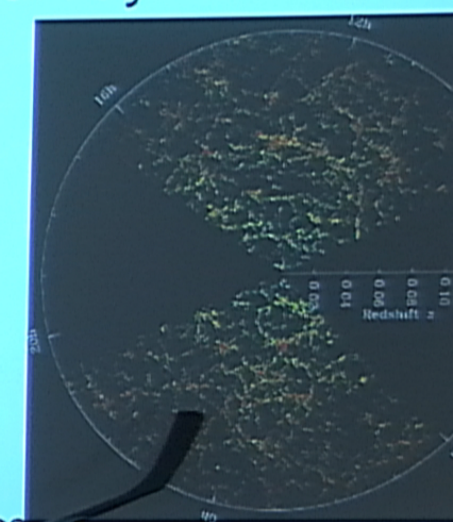
$$\Gamma(z)$$

$$\xi(r)$$



Non-linearity in Galaxy Surveys

- clustering is of order unity on scales of a few Mpc
- linear theory of evolution of density perturbations breaks down when amplitudes become ~ 1 and larger



$$D \sim H_0 z$$

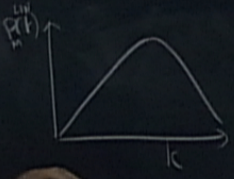
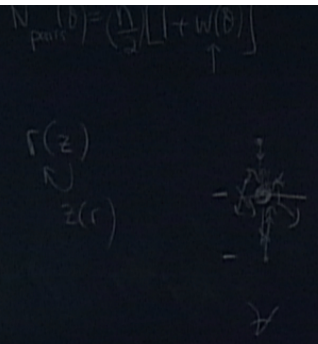
(3000 Mpc)

$$D(z=0.33) \sim 1 \text{ Gpc}$$

$$M31 \sim 1 \text{ Mpc}$$

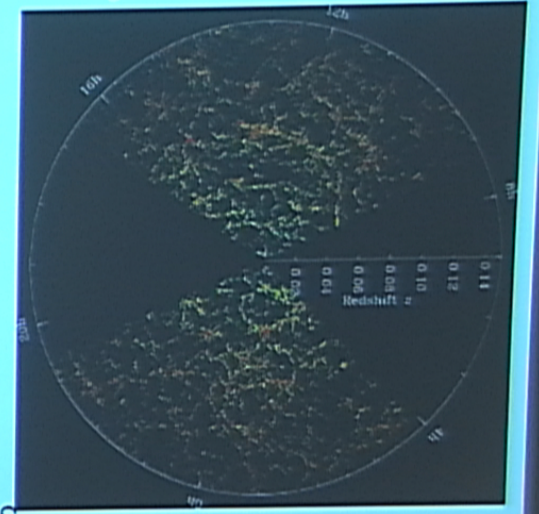
$$\theta = \frac{r}{D} \sim \frac{1}{1000} \theta_{M31}$$

$$-1'' \sim 3600''$$



Non-linearity in Galaxy Surveys

- clustering is of order unity on scales of a few Mpc
- linear theory of evolution of density perturbations breaks down when amplitudes become ~ 1 and larger



SDSS

$$D \sim z H_0 z$$

(3000 Mpc)

$$D(z=0.33) \sim 1 \text{ Gpc}$$

$$M31 \sim 1 \text{ Mpc}$$

$$\theta = \frac{r}{D} \sim \frac{1}{100} \theta_{M31}$$


$$1'' \sim 3600''$$

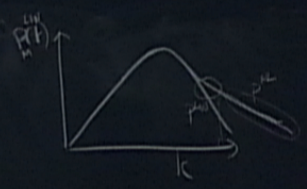
$$N_{\text{point}}(D) = \left(\frac{D}{L}\right)^3 [1 + W(D)]$$

$$\uparrow$$

$$r(z)$$

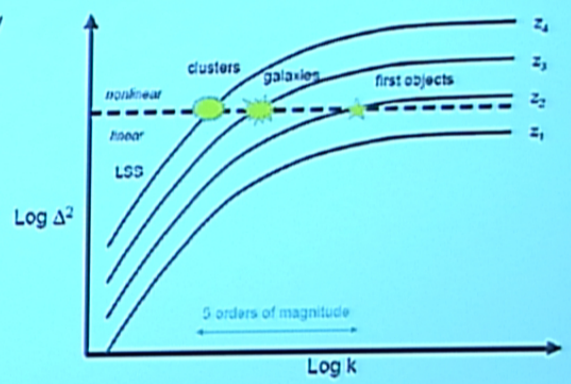
$$\downarrow$$

$$z(r)$$




Non-linearity in Galaxy Surveys

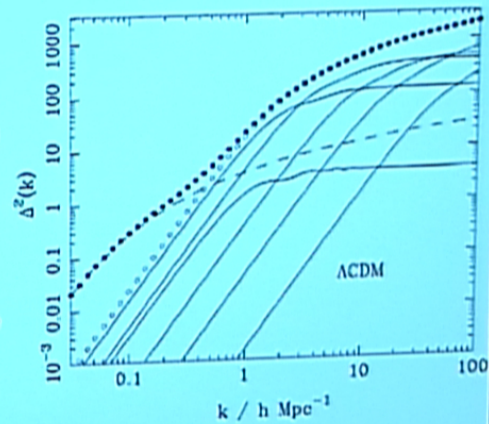
- clustering is of order unity on scales of a few Mpc today
- linear theory of evolution of density perturbations breaks down
- moves to larger scales at later times (as structure grows)



Norman: <http://arxiv.org/abs/1005.1100>

Halo Model Approach to Non-linearity

- on small scales, structure has collapsed into bound objects
- small scales simply measuring the correlations within bound objects
- large scales measuring correlations between halos that are tracing linear structure
- "1-halo" vs "2-halo"



Peacock 2003

$$D \sim H_0 z$$

(3000 Mpc)

$$D(z=0.73) \sim 1 \text{ Gpc}$$

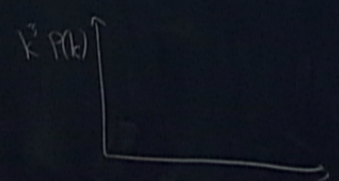
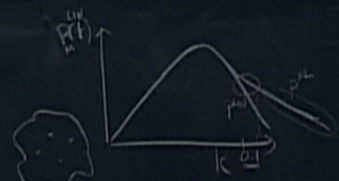
$$M_{51} \sim 1 \text{ Mpc}$$

$$\theta = \frac{r}{D} \sim \frac{1}{1000} \theta_{\text{Mpc}} \sim 1'' \sim 3600''$$

$$N_{\text{pairs}}(r) = \frac{1}{2} [1 + W(r)]$$

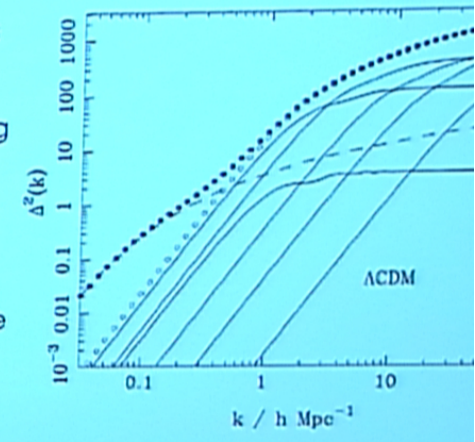
$$\xi(r, z)$$

$$\xi(r)$$



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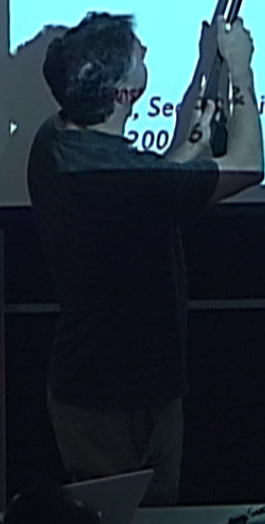
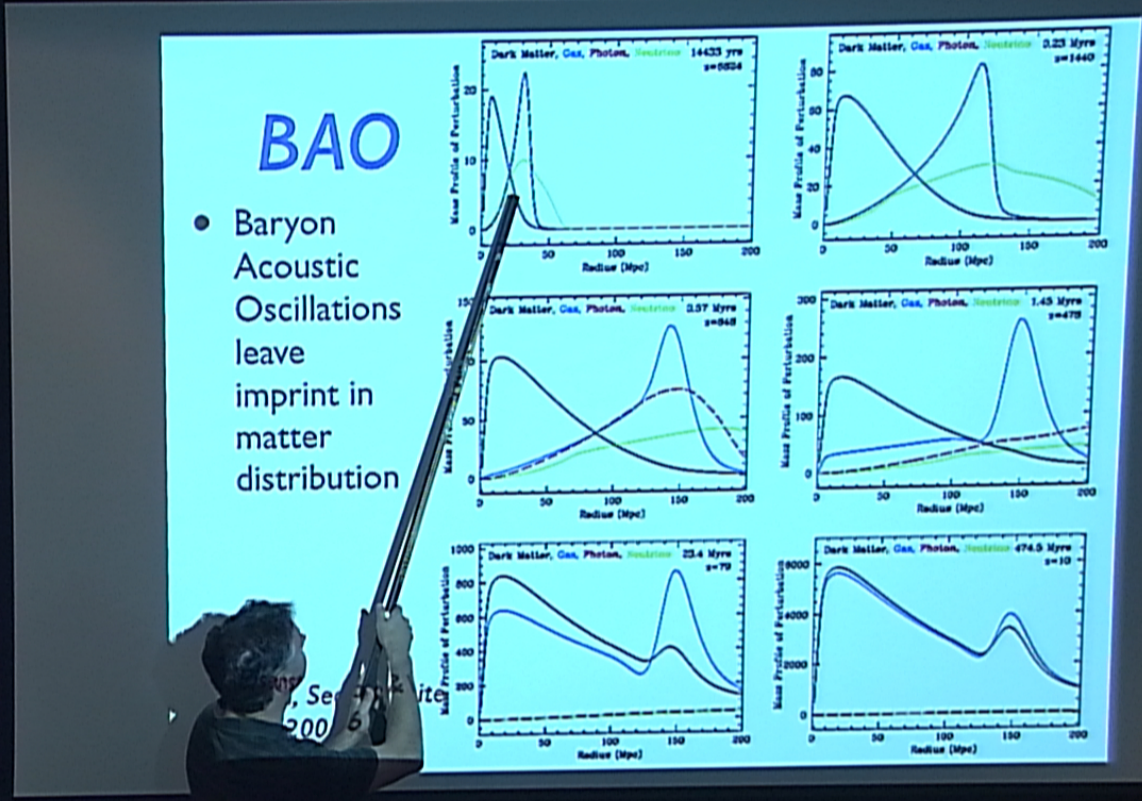
$D \sim z^{-2} \dot{z}$
 (3000 Mpc)

$D(z=0.33) \sim 1 \text{ Gpc}$
 $M \sim 1.5 \text{ Mpc}$
 $\theta = \frac{r}{D} \sim \frac{1}{1000} \theta_{\text{Mpc}}$
 $\sim 1^\circ \sim 3600''$

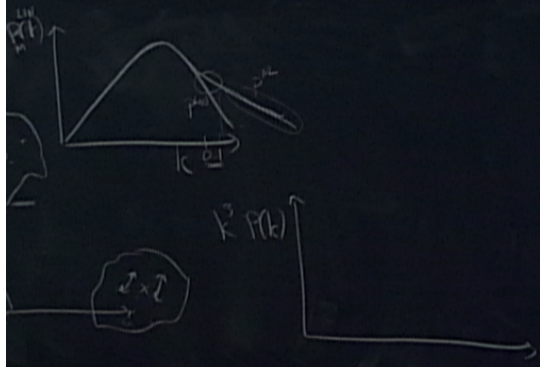
$N_{\text{part}}(b) = \left(\frac{1}{5}\right) |1 + W(b)|$

$\Gamma(z)$
 $Z(r)$

$P(k)$
 $K^2 P(k)$



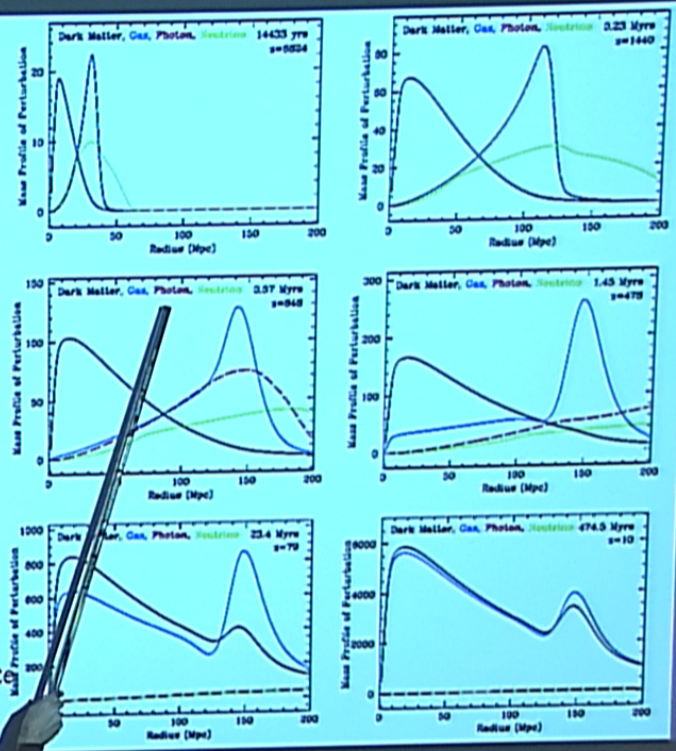
$D \sim c/H(z)$
 (3000 Mpc)
 $(1+z) \sim 1.6$
 $M \sim 1.5 \text{ Mpc}$
 $\delta = \frac{v}{D} = \frac{1}{1000} \frac{v_{\text{pec}}}{c}$
 $\delta \sim 3600''$



$N_{\text{point}}(D) = \left(\frac{1}{2} \right) [1 + W(D)]$
 \uparrow
 $r(z)$
 \downarrow
 $z(r)$

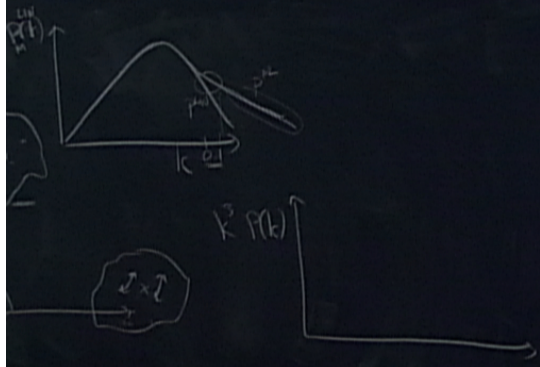
BAO

- Baryon Acoustic Oscillations leave imprint in matter distribution



Eisenstein & White

$D = c/H_0 z$
 (3000 Mpc)
 $D(z=0.73) \sim 1 \text{ Gpc}$
 $m \sim 1.5 \text{ Mpc}$
 $\sigma = \frac{v}{D} \sim \frac{1}{1000} \theta_{\text{rad}}$
 $\sim 1'' \sim 3600''$

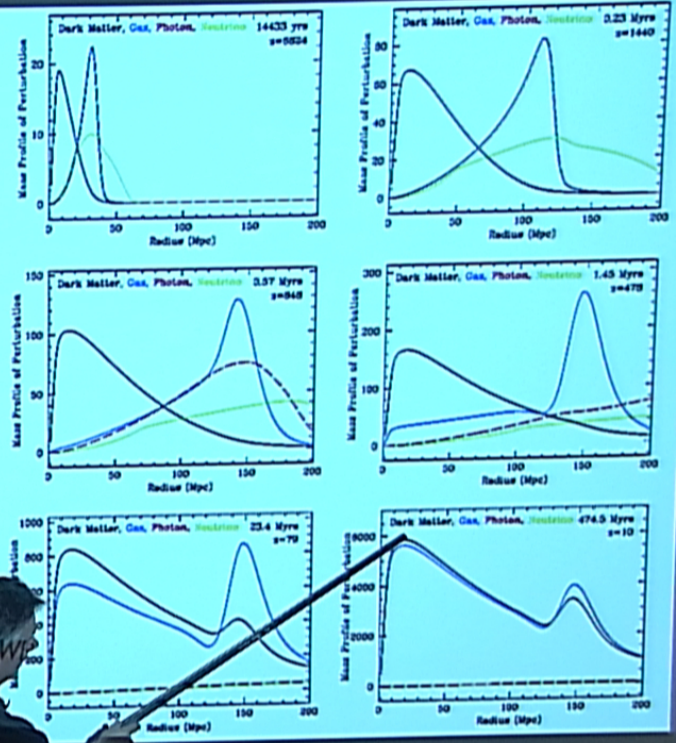


$N_{\text{part}}(D) = \left(\frac{D}{\lambda}\right)^3 [1 + W(D)]$
 \uparrow
 $\Gamma(z)$
 \downarrow
 $z(r)$

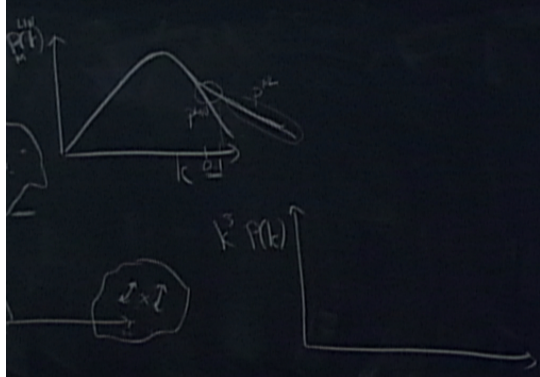
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Eisenstein, Seo

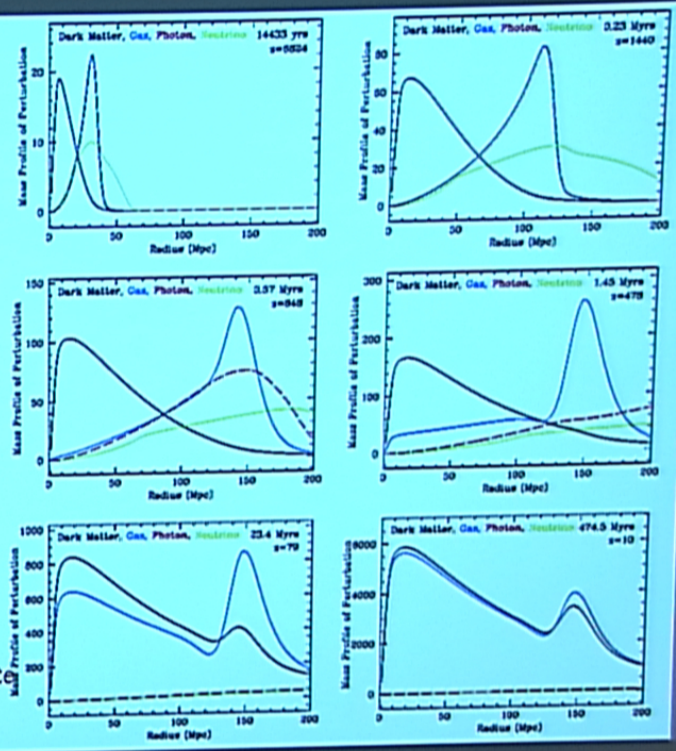


$D = c/H(z)$
 (3000 Mpc)
 $D(z=0.73) = 1 \text{ Gpc}$
 $m = 1.5 \text{ Mpc}$
 $\delta = \frac{v}{D} = \frac{1}{1000} \left(\frac{v}{c} \right)$
 $\sim 1'' \sim 3600''$



BAO

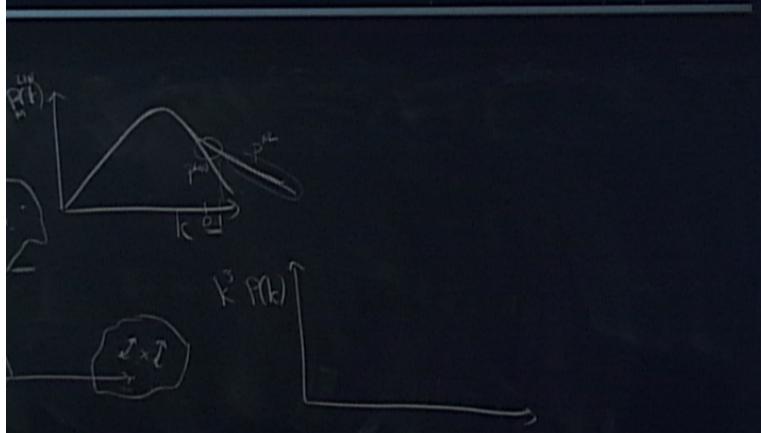
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Eisenstein, Seo & White 2006

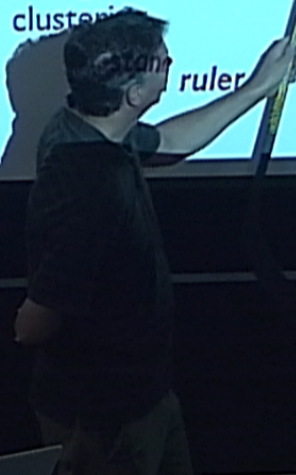
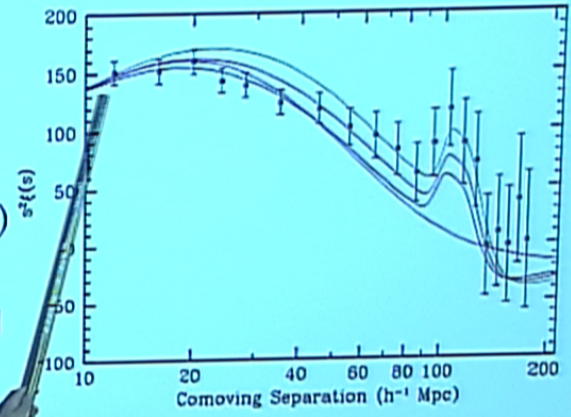


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 $\theta = 1'' = 3600''$

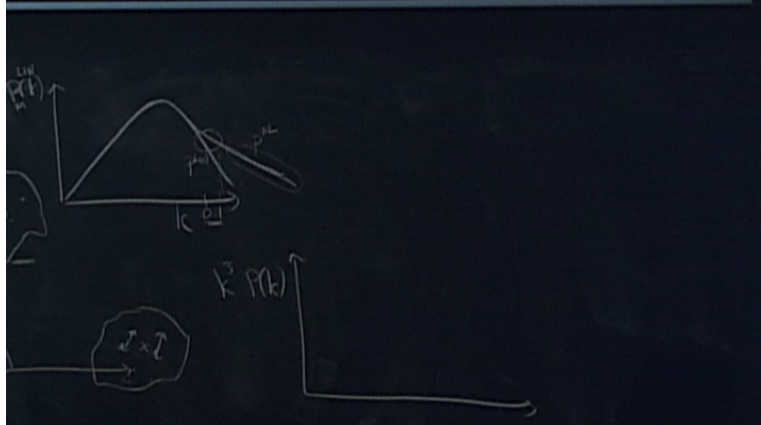


Baryon Oscillations imprinted in Galaxy Clustering

- first detected in Eisenstein et al 2005 using SDSS LRG sample (extends to $z \sim 0.5$)
- actually detected in angular & radial clustering



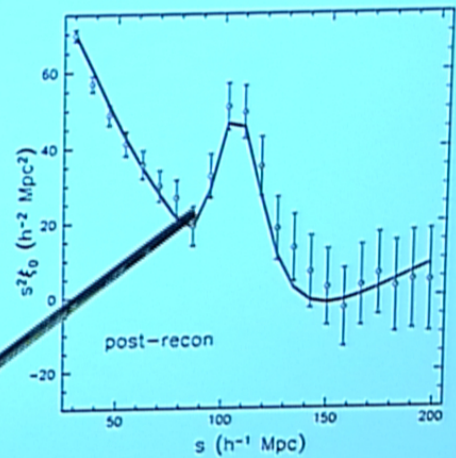
$D = c/H(z)$
 (3000 Mpc)
 $D(z=0.73) = 1 \text{ Gpc}$
 $m = 1.5 \text{ Mpc}$
 $\theta = \frac{r}{D} = \frac{1}{1000} \theta_{\text{Mpc}}$
 $1'' = 3600''$



$N_{\text{point}}(\theta) = \left(\frac{1}{2\pi}\right) \int |1+W(\theta)|$
 $\Gamma(z)$
 $\zeta(r)$

Baryon Oscillations imprinted in Galaxy Clustering

- first detected in Eisenstein et al 2005 using SDSS LRG sample (extends to $z \sim 0.5$)
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Anderson et al 2013; BOSS galaxies

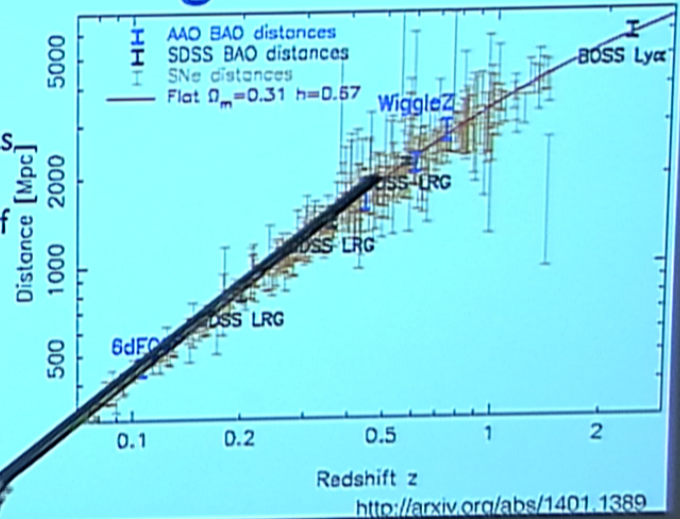
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$N_{\text{pairs}}(D) = \left(\frac{1}{2} \right) [1 + W(D)]$
 $\Gamma(z)$
 $z(r)$

$P(r)$
 $K^2 P(r)$

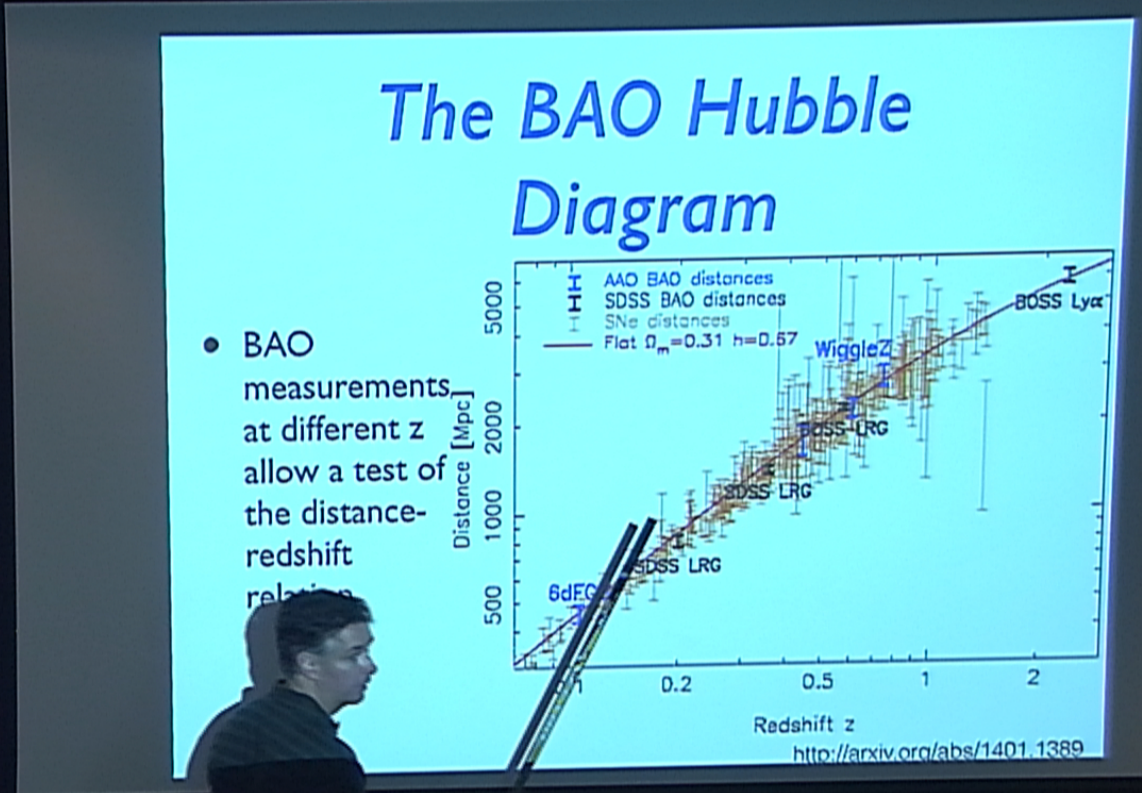
The BAO Hubble Diagram

- BAO measurements at different z allow a test of the distance-redshift relation




$D = c H_0 z$
 (3000 Mpc)
 $D(z=0.73) = 1 \text{ Gpc}$
 $M = 1.5 \text{ Mpc}$
 $\delta = \frac{v}{D} = \frac{1}{1000} \delta_{M1}$
 $1'' = 3600''$

$\Gamma(z)$
 $\Upsilon(z)$
 $\Upsilon(r)$



$D = c H_0 z$
 (3000 Mpc)
 $D(z=0.73) = 1 \text{ Gpc}$
 $m = 1.5 \text{ mpc}$
 $\sigma = \frac{1}{D} = \frac{1}{1000} \text{ (units)}$
 $\sigma = 3600''$

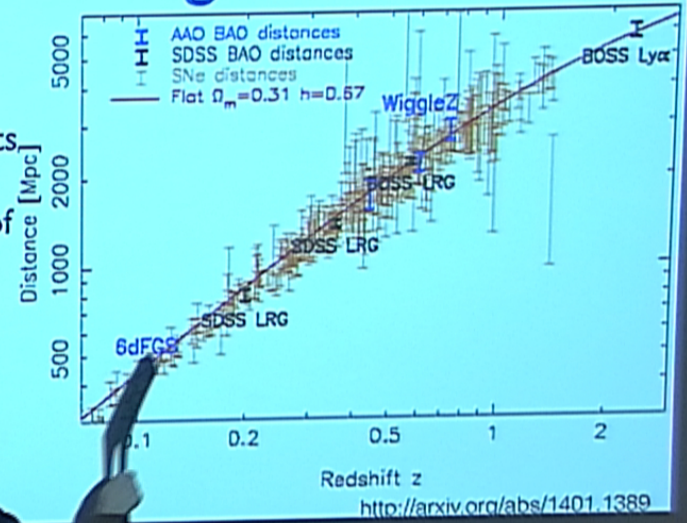
$N_{\text{part}}(z) = \left(\frac{1}{z}\right)^3 [1 + W(z)]$
 $r(z)$
 $z(r)$



$k^3 P(k)$
 $z \sim 1$

The BAO Hubble Diagram

- BAO measurements at different z allow a test of the distance-redshift relation

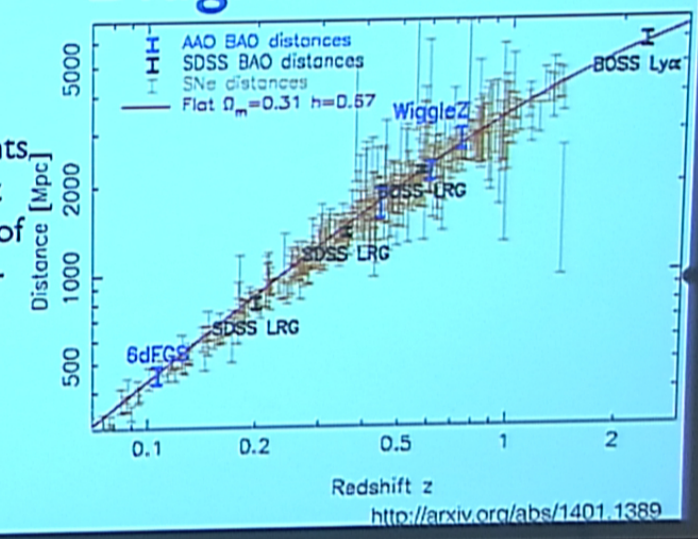


$D = c H_0 z$
 (3000 Mpc)
 $D(z=0.73) \sim 1 \text{ Gpc}$
 $M \sim 1 \text{ Mpc}$
 $\delta = \frac{v}{D} = \frac{1}{1000} \delta_{M1}$
 $1'' \sim 3600''$

$N_{\text{pairs}}(D) = \left(\frac{1}{2}\right) [1 + W(D)]$
 $\Gamma(z)$
 $Z(r)$
 $K^2 P(k)$
 $z \times z$

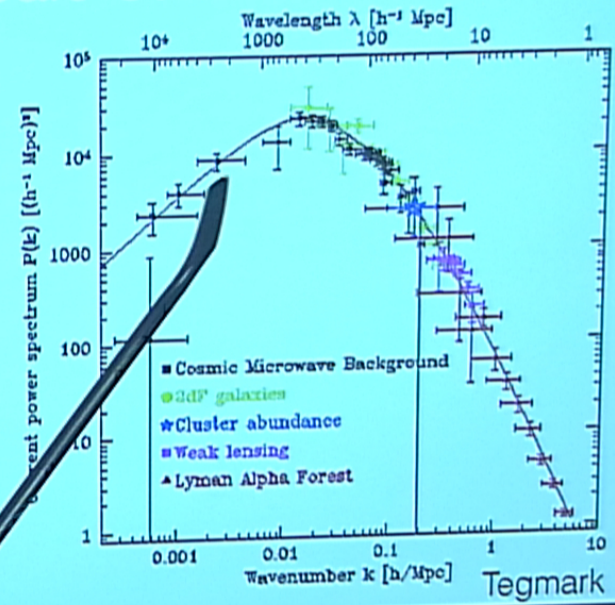
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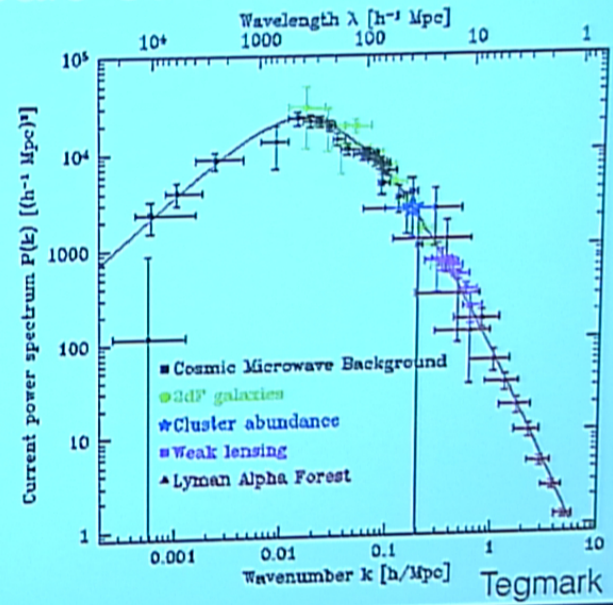
Large Scale Structure Probes

- complementary studies of large scale structure allow overlapping and independent tests



Large Scale Structure Probes

- complementary studies of large scale structure allow overlapping and independent tests



Massive Neutrinos in Cosmology

$$\Omega_{\nu} \approx \sum_i (m_i / 0.1 \text{ eV})^2 0.0022 h_{0.7}^{-2}$$

- Below free-streaming scale, neutrinos act like **radiation**
 - *drag on growth*
- Above free-streaming scale, neutrinos act like **matter**

Massive Neutrinos in Cosmology

$$\Omega_{\nu} \approx \sum_i (m_i / 0.1 \text{ eV})^2 0.0022 h_{0.7}^{-2}$$

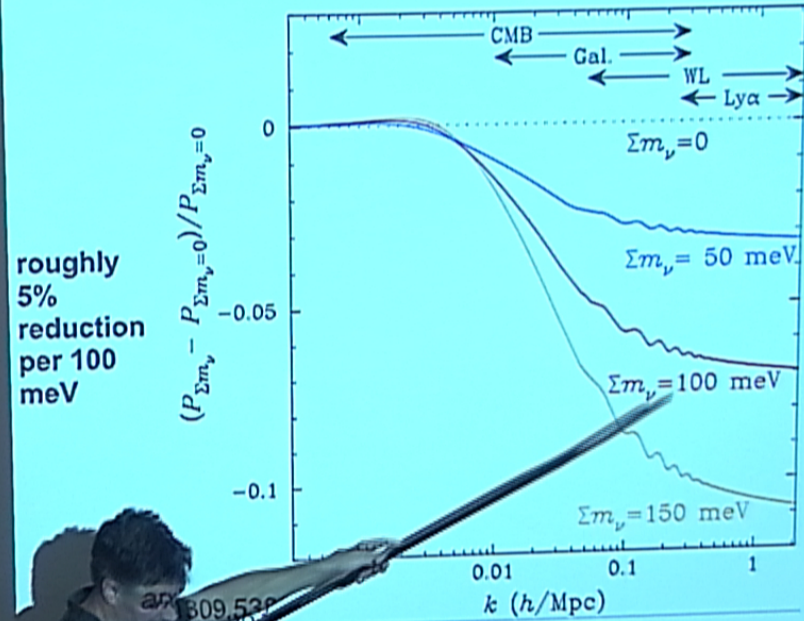
- Below free-streaming scale, neutrinos act like **radiation**
 - *drag on growth*
- Above free-streaming scale, neutrinos act like **matter**

Massive Neutrinos in Cosmology

$$\Omega_{\nu} \approx \sum_i (m_i / 0.1 \text{ eV})^2 0.0022 h_{0.7}^{-2}$$

- Below free-streaming scale, neutrinos act like **radiation**
 - *drag on growth*
- Above free-streaming scale, neutrinos act like **matter**

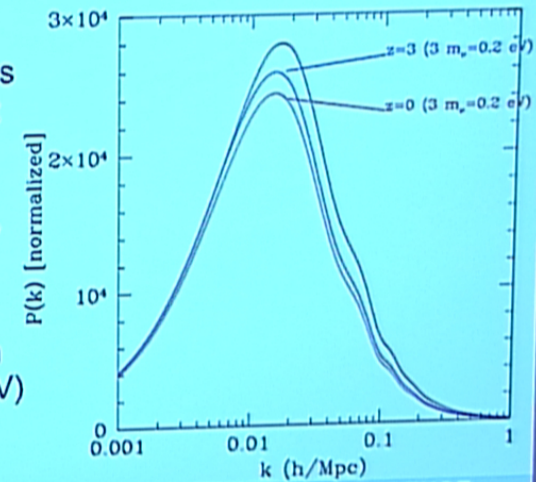
Effect of Massive Neutrinos on Matter Clustering



roughly
5%
reduction
per 100
meV

Massive Neutrinos in Cosmology

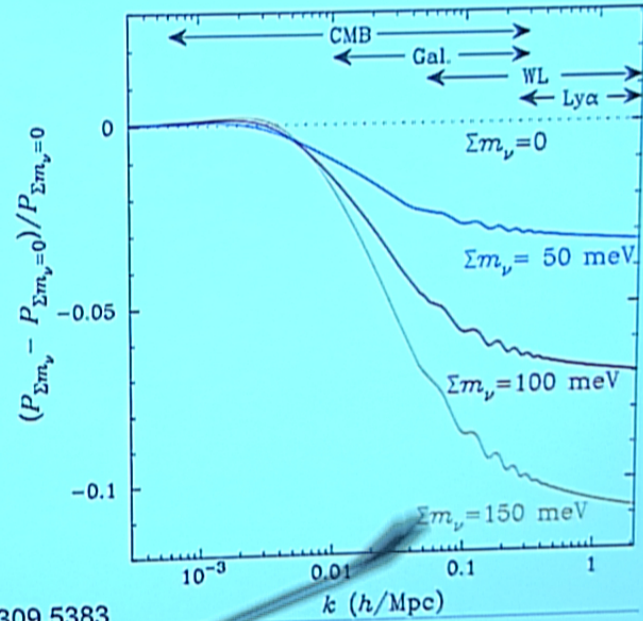
- Free streaming of neutrinos on small scales leads to time-dependent suppression of power
- CMB only sensitive to matter-radiation equality epoch (not affected by $m < 0.3$ eV)
- Free-streaming scale (in k -space) roughly $(m/1 \text{ eV})$ 0.1 h/Mpc



TIME DEPENDENT SCALE DEPENDENCE

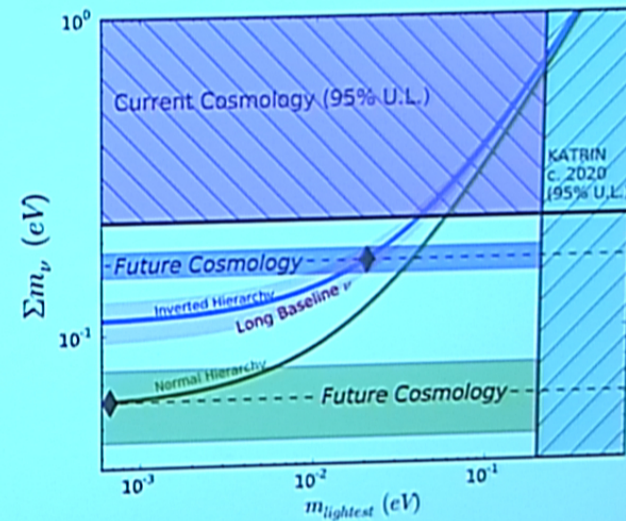
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Forecast neutrino mass measurements

- next generation CMB experiment (S4)+ next generation galaxy spectroscopic survey (DESI) project 68% uncertainty of 16 meV on sum of neutrino masses



Abazajian et al 2013