

Title: Detection and Variability of Closure Phases in Sgr A\*

Date: Nov 10, 2014 02:30 PM

URL: <http://pirsa.org/14110070>

Abstract: <span>Closure phases measured on the Arizona-California-Hawaii triangle of the EHT over multiple years indicate that the 1.3 mm structure of Sgr A\* is asymmetric on scales of a few Schwarzschild radii. The closure phase data provide new constraints on models of the quiescent emission from Sgr A\*. Time variability in the closure provides evidence of structural changes on scales resolved by millimeter-wavelength VLBI.<br>We discuss these results as well as other implications of the data.</span>



## Products of Radio Interferometry

Each baseline has instantaneous “(u,v)” coordinates that correspond to the spatial frequency being measured

After correlation and calibration, end up with a complex visibility on each baseline

Van Cittert--Zernike theorem tells us the visibility is related to the Fourier transform of the image

Amplitude: How much power is on this spatial frequency?

Phase: Where is that power located?

Phase information is especially powerful



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# The importance of phase

$IM_1$



$IM_2$



Ampl-  $IM_1$  , Phase  $IM_2$



Ampl-  $IM_2$  , Phase  $IM_1$



(Skarbnik+ 2010)

## Strategies to mitigate atmospheric corruption

Amplitude: Cannot use coherent (vector) averaging directly

- Use incoherent (scalar) averaging + noise debiasing -or-
- Use prior phase information (e.g., from similar baseline)

Phase: Cannot derive a meaningful visibility phase

- Use closure phase

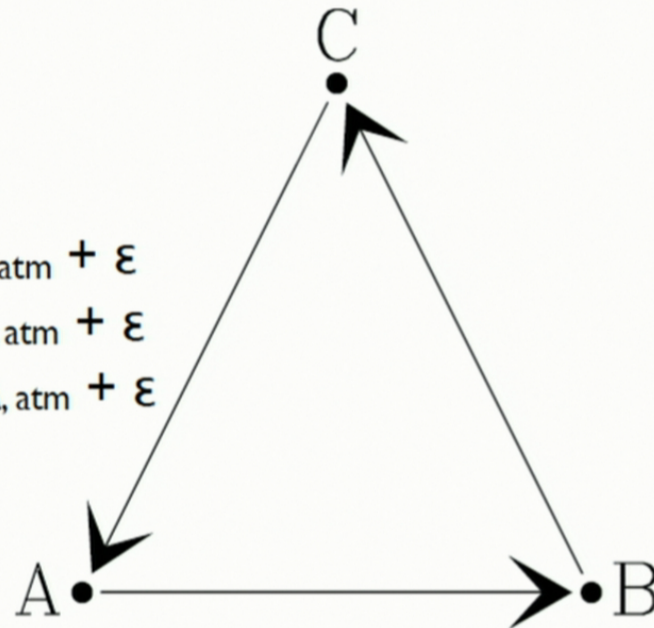
$$\varphi_{ABC} = \varphi_{AB} + \varphi_{BC} + \varphi_{CA}$$

$$\varphi_{AB, \text{obs}} = \varphi_{AB, \text{src}} + \sigma_{A, \text{atm}} - \sigma_{B, \text{atm}} + \varepsilon$$

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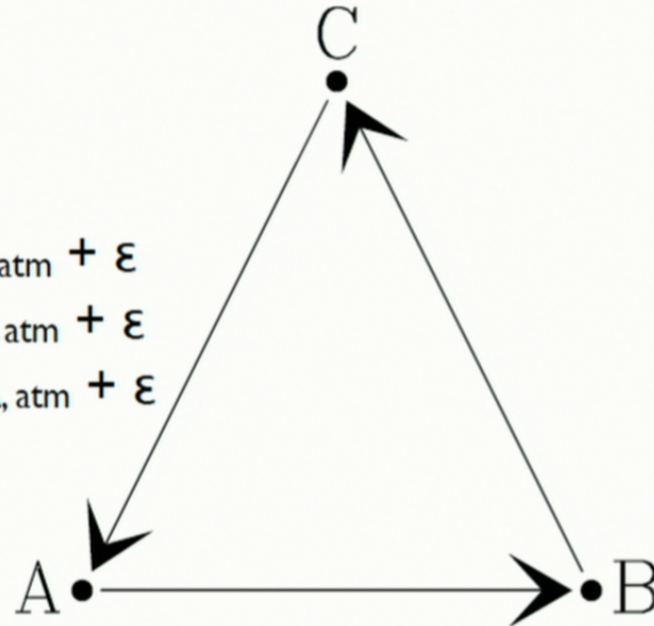
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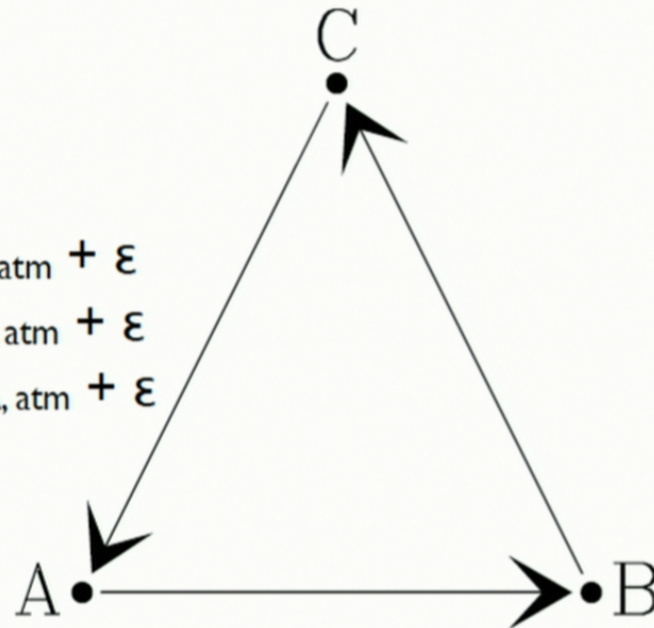
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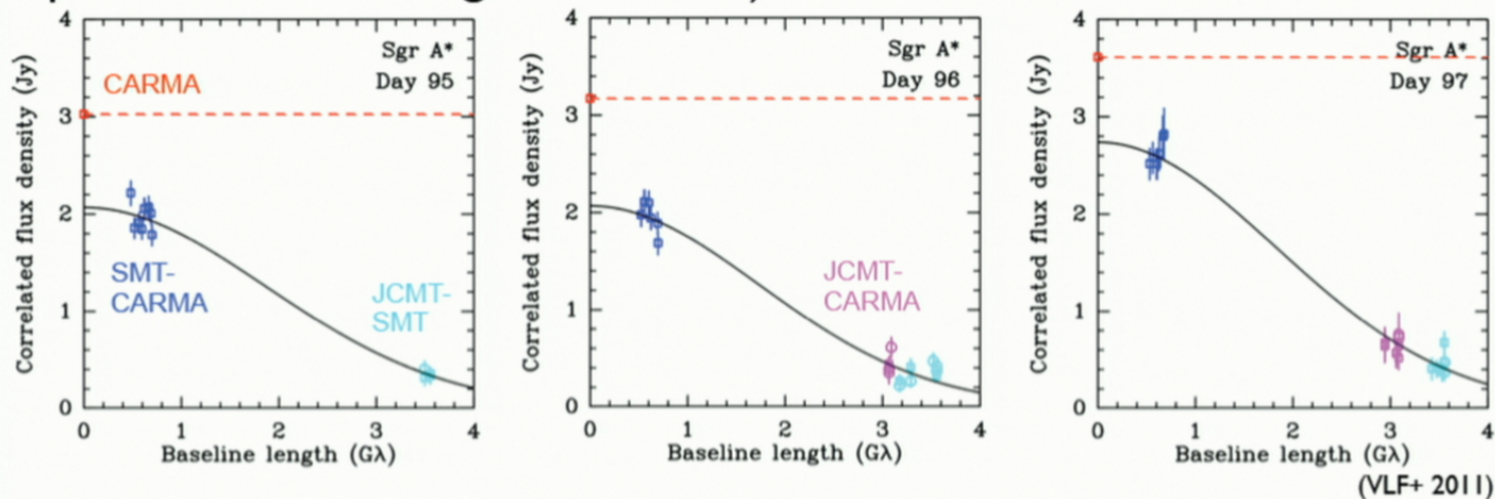




## Prior EHT observational status

2007: Long-baseline detections of Sgr A\* on JCMT-SMT baseline (Doeleman et al. 2008), amplitudes only

2009: Long-baseline detections of Sgr A\* on JCMT-SMT and JCMT-CARMA baselines, amplitudes only + limit on closure phase: within 40 degrees of zero)



Meanwhile, closure phases used to model calibrator sources (Lu et al. 2012, 2013; several in prep. by other authors)

## Progress toward better closure phase estimates

### Algorithmic:

- Fixed bug in fourfit that introduced additional phase error
- Introduction of fourfit mode designed to optimize closure phase estimation
- Ad hoc phase capability to increase S/N on weak baselines
- Delay and rate closure to find weak fringes

### Sensitivity:

- Use of phased-array stations
- Better weather in 2013
- More data thanks to dual-polarization systems
- Large accumulated number of data points

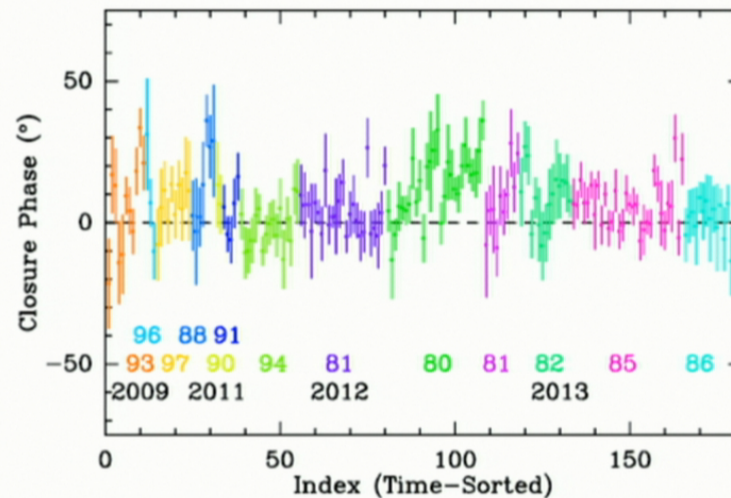


## Sgr A\* closure phases

Evidence of nonzero closure phase as early as 2011, but not statistically significant enough

New data points from 2012 & 2013 indicate a (mostly) consistent sign of the closure phase on intra-US triangle

### California-Hawaii-Arizona



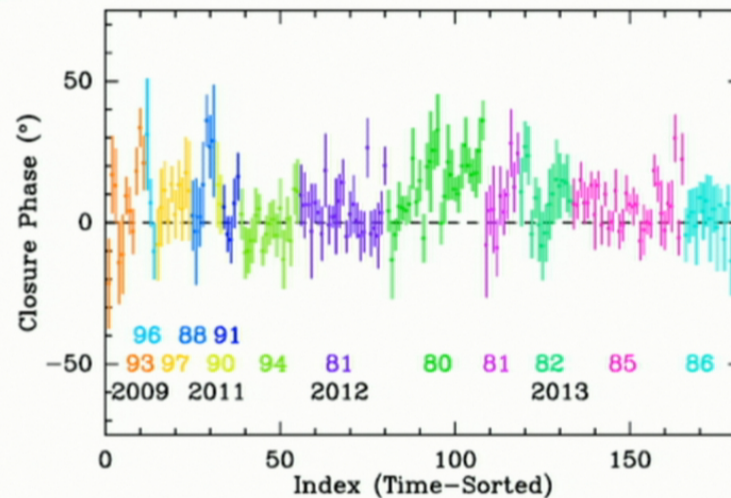
## Nonzero closure phase

The closure phase is nonzero at high statistical significance

Weighted mean: 6.5 deg +/- 0.7 deg

Median: 6.3 deg (3.5-7.7 deg at 99.7% confidence)

A bootstrap analysis of the median found only positive values over  $10^8$  trials



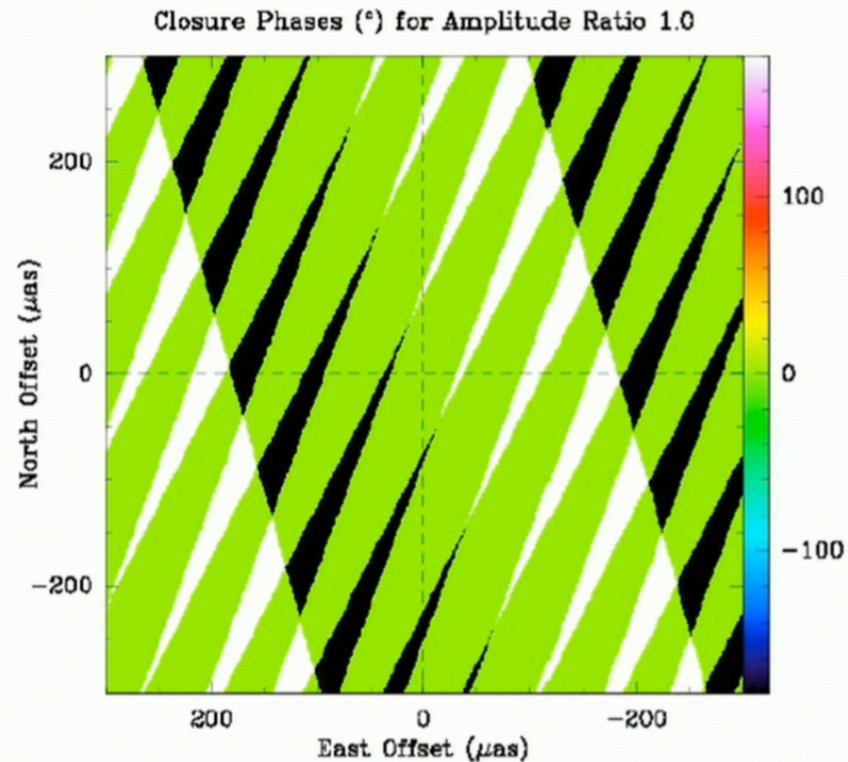


## Implications of nonzero closure phase

Rules out point-symmetric brightness distributions

Sgr A\* is not an elliptical Gaussian, a ring, or a symmetric double

Constraints provided by  
two-point-source models  
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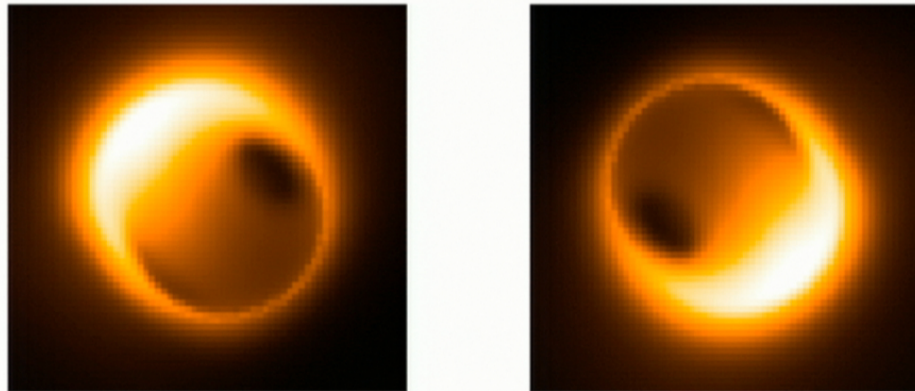
Allowed region given all  
detected closure phases

Results applicable to some other point-symmetric geometries,  
but not to reflection-symmetric geometries

## Implications of nonzero closure phase

Closure phases place constraints on all models

Closure phases break the 180-degree rotational degeneracy of models



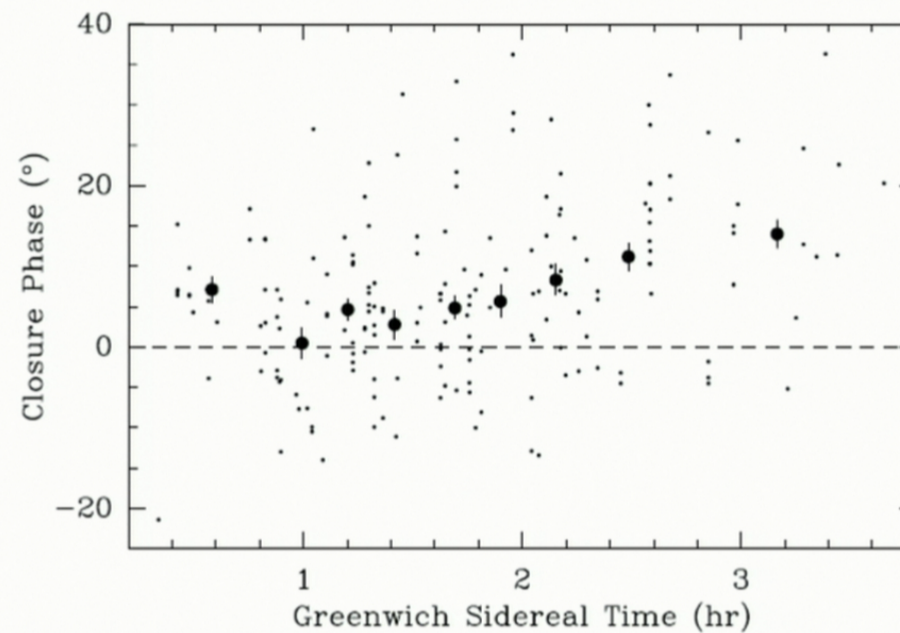
(Broderick+ 2011)



## Dependence on GST

Trend for closure phase to be larger toward the end of the night

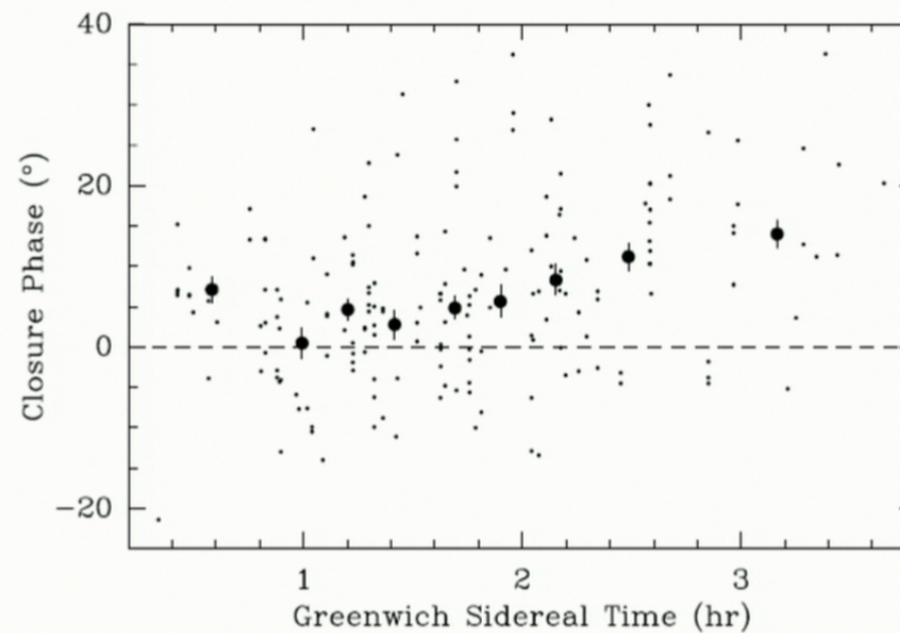
Likely due to the changing projection of the baselines



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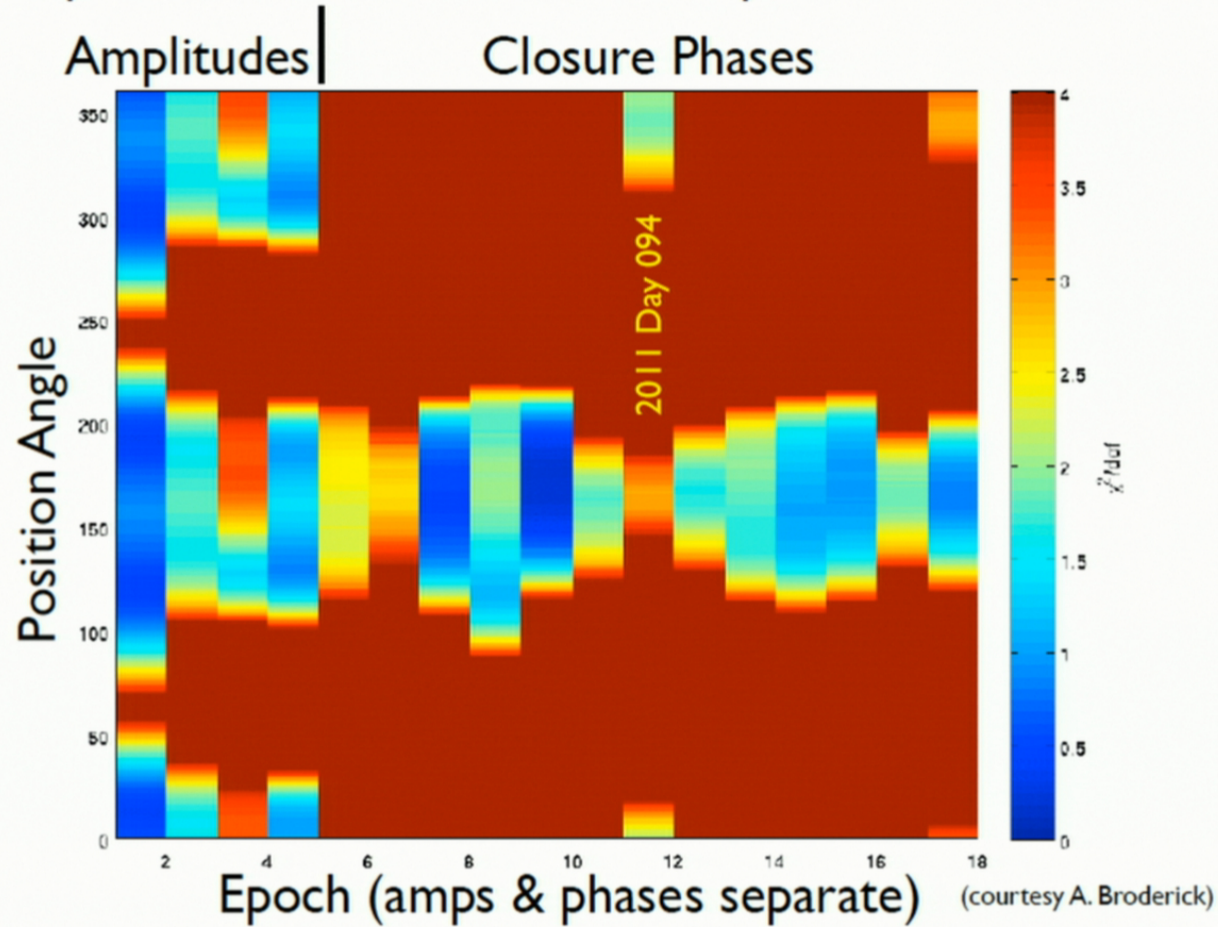
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## RIAF model fitting: Position Angle

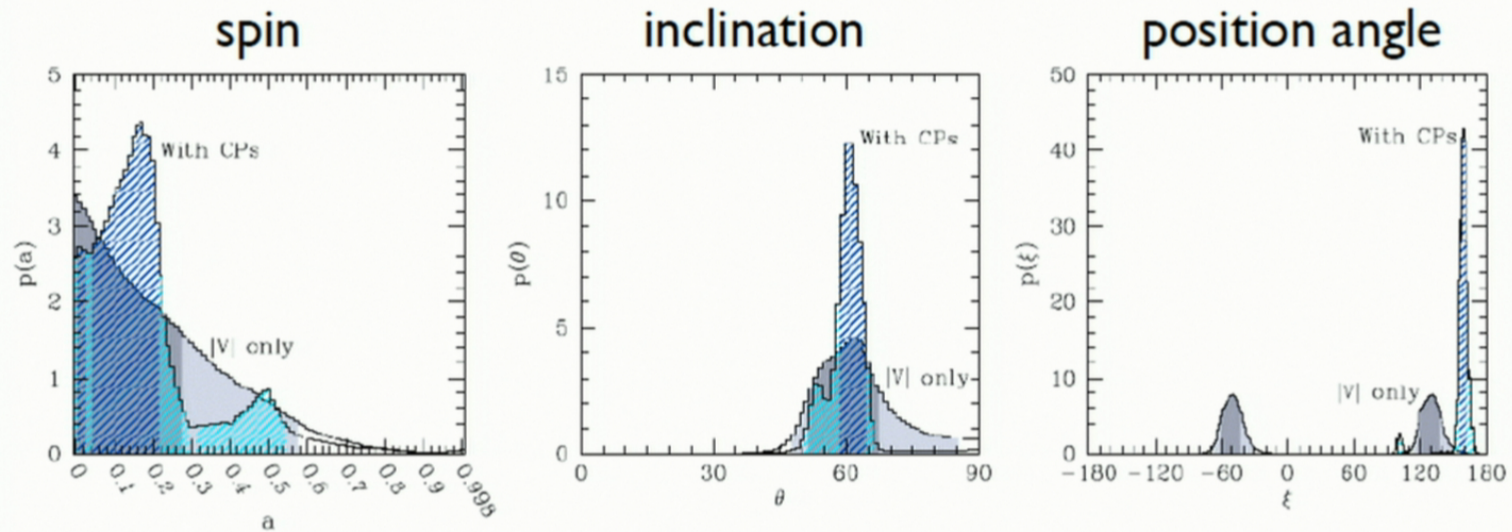
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## RIAF model fitting: Position Angle

Closure phase data are consistent with prior estimates

Model parameters are (mostly) consistent with those derived from amplitude data alone



(courtesy A. Broderick)



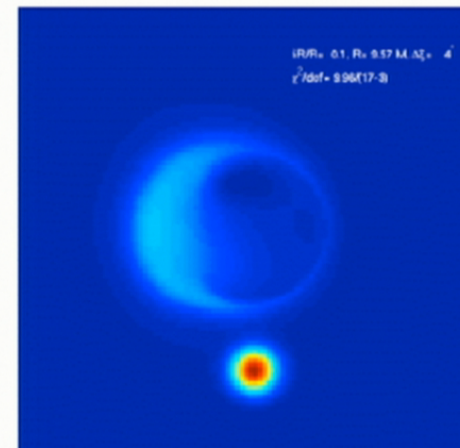
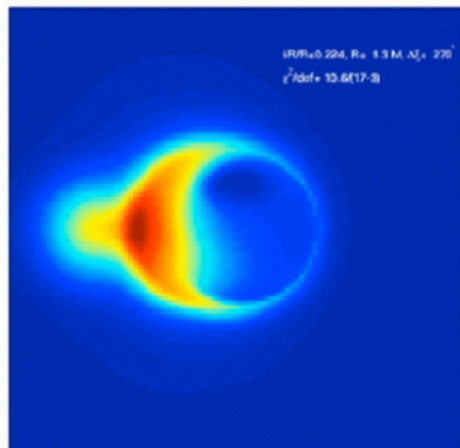
## Interpreting variability within RIAF model

Within RIAF context, variability could be due to a new feature

Additional flux prefers position angle of disk or jet

Currently highly speculative

More data will help!



(courtesy A. Broderick)

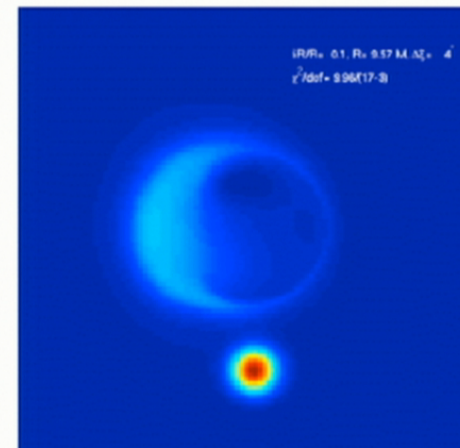
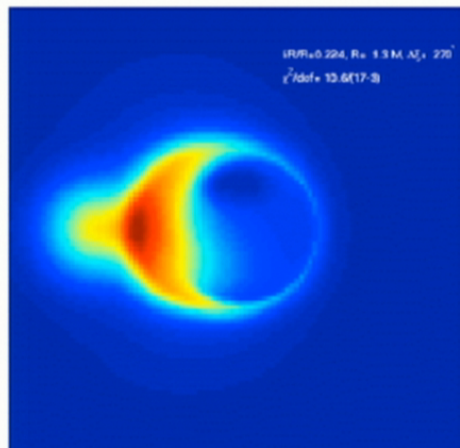
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## Connections to refractive effects

Refractive noise from interstellar scattering will dominate on very long baselines (probably  $> 1$  Earth diameter)

Effect already seen at 1.3 cm

Stability of closure phases at 1.3 mm indicates that

- Detected closure phases are from source, not scattering
- Longer ground-based baselines may not have substantial refractive phase noise (though still significant amplitude loss!)

Longer-baseline data at 1.3 mm (and better data at 3 mm and longer) will help us understand scattering properties better

Deblurring may be possible (talk by M. Johnson on Thursday)



## Summary

We have detected nonzero closure phases on Sgr A\*

Implies asymmetry, places strong constraints on emission models

Small-scale structural variability detected

Refractive scattering likely not a serious issue on these baselines

More sensitive data, bigger triangles coming soon!

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