

Title: Explorations in Particle Theory - Lecture 11

Date: Apr 17, 2012 09:00 AM

URL: <http://pirsa.org/12040015>

Abstract:

More DM Indirect Detection

$$\Phi(\dot{\chi}_0, E) = \frac{N}{8\pi} \langle \sigma v \rangle \left(\frac{\rho_0}{m_\chi} \right)^2 \int dE_s f(E_s) I(E, E_s)$$

More DM Indirect Detection

$$\Phi(\vec{x}_0, E) = \underbrace{\frac{N}{8\pi}}_{\text{part}} \langle \sigma v \rangle \underbrace{\left(\frac{\rho_0}{m_x}\right)^2}_{\frac{dN_i}{dE_s}} \int dE_s f_i(E_s) \underbrace{I_i(E, E_s)}_{\text{propagation}}$$

$$\langle \sigma v \rangle = \langle \sigma v \rangle f(E)$$

$$= \int d^3x_s G(\vec{x}_0, \vec{x}_s; E_s \rightarrow E) \left[\frac{\rho_s(\vec{x}_s)}{\rho_0} \right]^2$$

↳ output of diffusion eq. N.

$$\langle dE \rangle = \langle \dot{Q} \rangle (E)$$

↳ output of diffusion eq.

- \bar{p} - affected mostly by diffusion
- can annihilate with H, He.
 - can be created as secondaries from: $p+p \rightarrow p+p+(p+\bar{p}+p+\bar{p})$

$$\langle dE \rangle = \langle dN \rangle / (E)$$

↳ output of diffusion eq. \bar{N} .

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$$\langle \sigma v \rangle = \langle \sigma v \rangle f(E)$$

↳ output of diffusion eq. $\frac{dN}{dt}$

diffusion

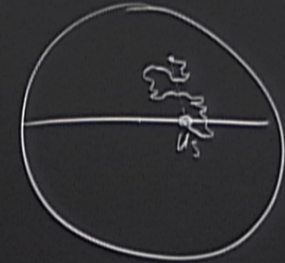
H, He.

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+ energy loss

bremsstrahlung radiation, Inverse Compton scattering



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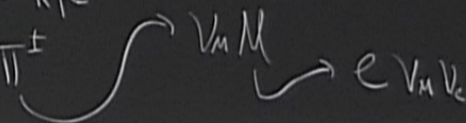
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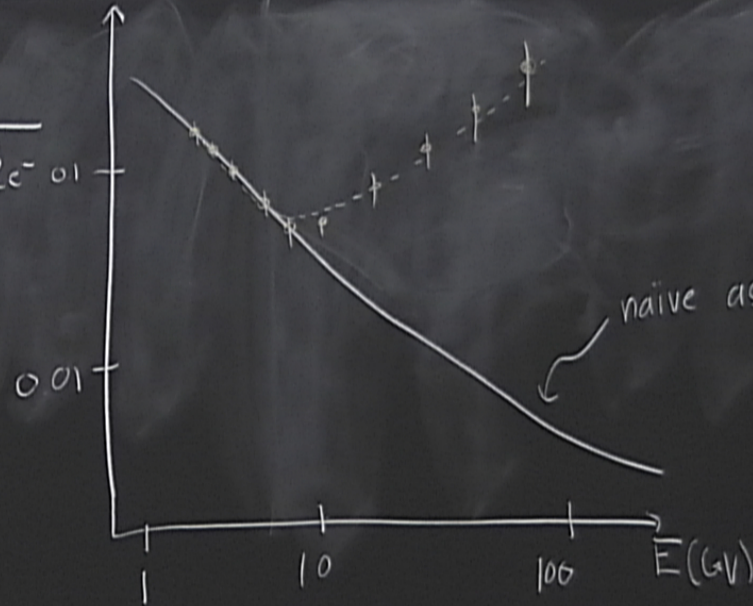
- e^+ :
- affected by diffusion + energy loss
 - energy loss from synchrotron radiation, Inverse Compton scattering
 - high energy e^+ : $\lambda \sim \text{few kpc}$
 - astro BG: $p+H \rightarrow X + \pi^\pm$



e^+ signals

PAMELA
Fermi

$$\frac{\Phi_{e^+}}{\Phi_{e^+} + \Phi_{e^-} \cdot 0.1}$$

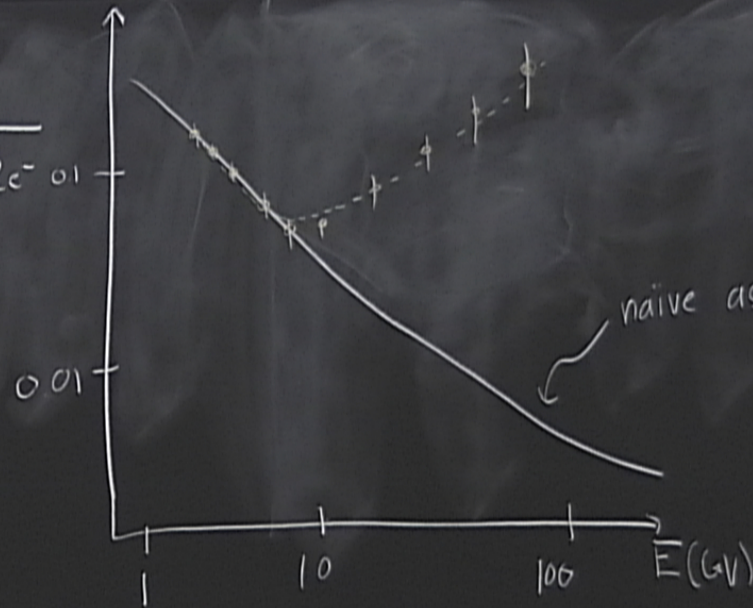


naive astro BG

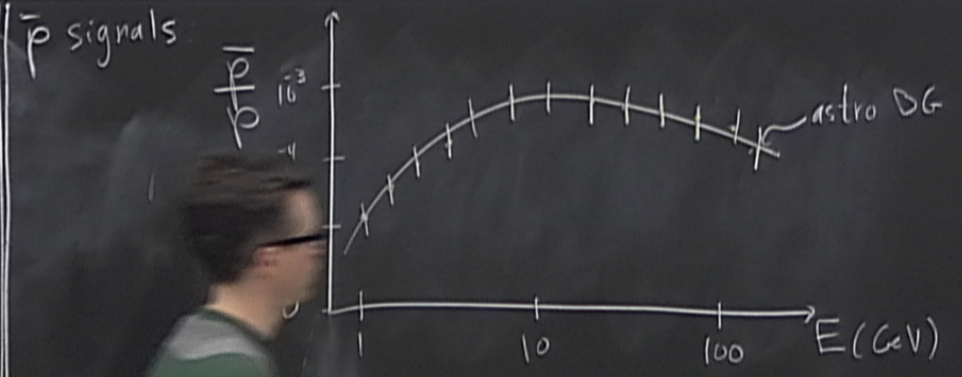
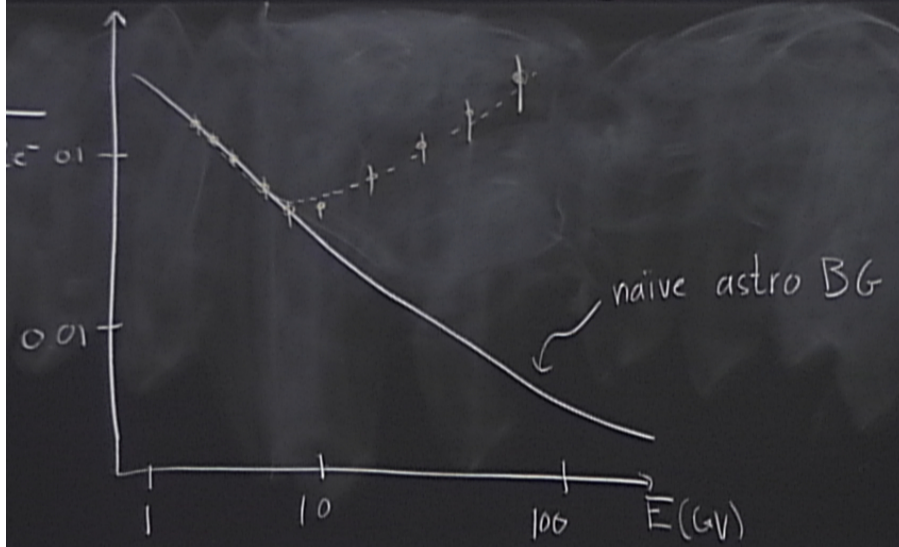
e^+ signals

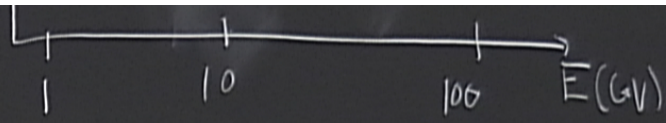
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$$\frac{\Phi_{e^+}}{\Phi_{e^+} + \Phi_{e^-} \cdot 0.1}$$



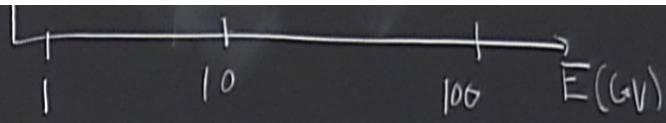
\bar{p} signals





Could this be DM?

$$\textcircled{1} \langle \sigma v \rangle_{\text{today}} = (\#) \cdot (10^{-25} \text{ cm}^3/\text{s}) \left(\frac{m_x}{100 \text{ GeV}} \right)^2, \quad m_x \geq 100 \text{ GeV} \quad (\text{thermal f.o.})$$



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$\textcircled{2}$ No $\bar{p}/p \Rightarrow$ DM must annihilate mostly to leptons ($e^+e^-, u\bar{u}, \dots$)

More DM Indirect Detection

eg. DM = "hidden" Dirac fermion: χ , $M_\chi \gtrsim 100 \text{ GeV}$
 $U(1)_x$ gauge (hidden) force, Higgsed at $\sim 1 \text{ GeV}$. $M_{Z_x} \sim$

- astro BG. $p + H \rightarrow X + \pi^+$

$\chi \chi \rightarrow e \nu \nu_e$

Starlight, CMB

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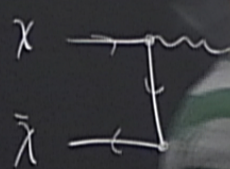
- astro BG. $p + H \rightarrow X + \pi^+$ $\xrightarrow{DM} e \nu_e \bar{\nu}_e$

Starlight, CMS

More DM Indirect Detection

eg DM = "hidden" Dirac fermion: χ , $M_\chi \gtrsim 100 \text{ GeV}$

$U(1)_X$ gauge (h) force, Higgsed at $\sim 1 \text{ GeV}$ $M_{Z_X} \sim \text{GeV}$



$$\mathcal{L} = -\frac{1}{4} F_{\mu\nu} F^{\mu\nu} - \frac{1}{4} \chi^{\mu\nu} \chi_{\mu\nu} - \frac{e}{2} \chi^{\mu\nu} F_{\mu\nu}$$

$(\partial_\mu \chi_\nu - \partial_\nu \chi_\mu)$

$e \ll 1 \rightarrow U(1)_X \text{ FS} = (\partial_\mu \chi_\nu - \partial_\nu \chi_\mu)$

tection

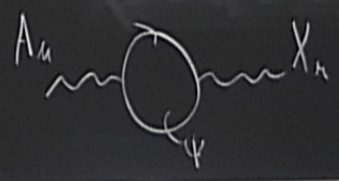
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force, Higgsed at $\sim 1 \text{ GeV}$. $M_{Z_\chi} \sim \text{GeV}$.

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$$(\partial_\mu A_\nu - \partial_\nu A_\mu)$$

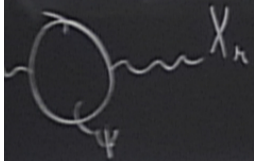
$$U(1)_\chi \text{ FS} = (\partial_\mu \chi)$$



$\sim G e V$

$$\langle M^{\mu\nu} F_{\mu\nu} + \frac{1}{2} m_{Z_\mu}^2 X_\mu X^\mu$$

$\ll 1 \rightarrow$ $U(1)_X$ F.S. = $(d_\mu X_\nu - d_\nu X_\mu)$



$$X'_M = C_\epsilon X_M$$

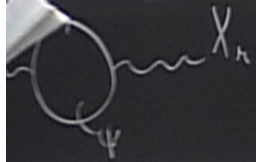
$$A'_\mu = A_\mu - S_\epsilon X_\mu$$

$$= \epsilon / (1 - C)$$

$= c_e v$

$$-\frac{1}{4} F_{\mu\nu} F^{\mu\nu} + \frac{1}{2} m_{Z_\mu}^2 X_\mu X^\mu$$

$\ll 1 \rightarrow U(1)_X \text{ F.S.} = (d_\mu X_\nu - d_\nu X_\mu)$



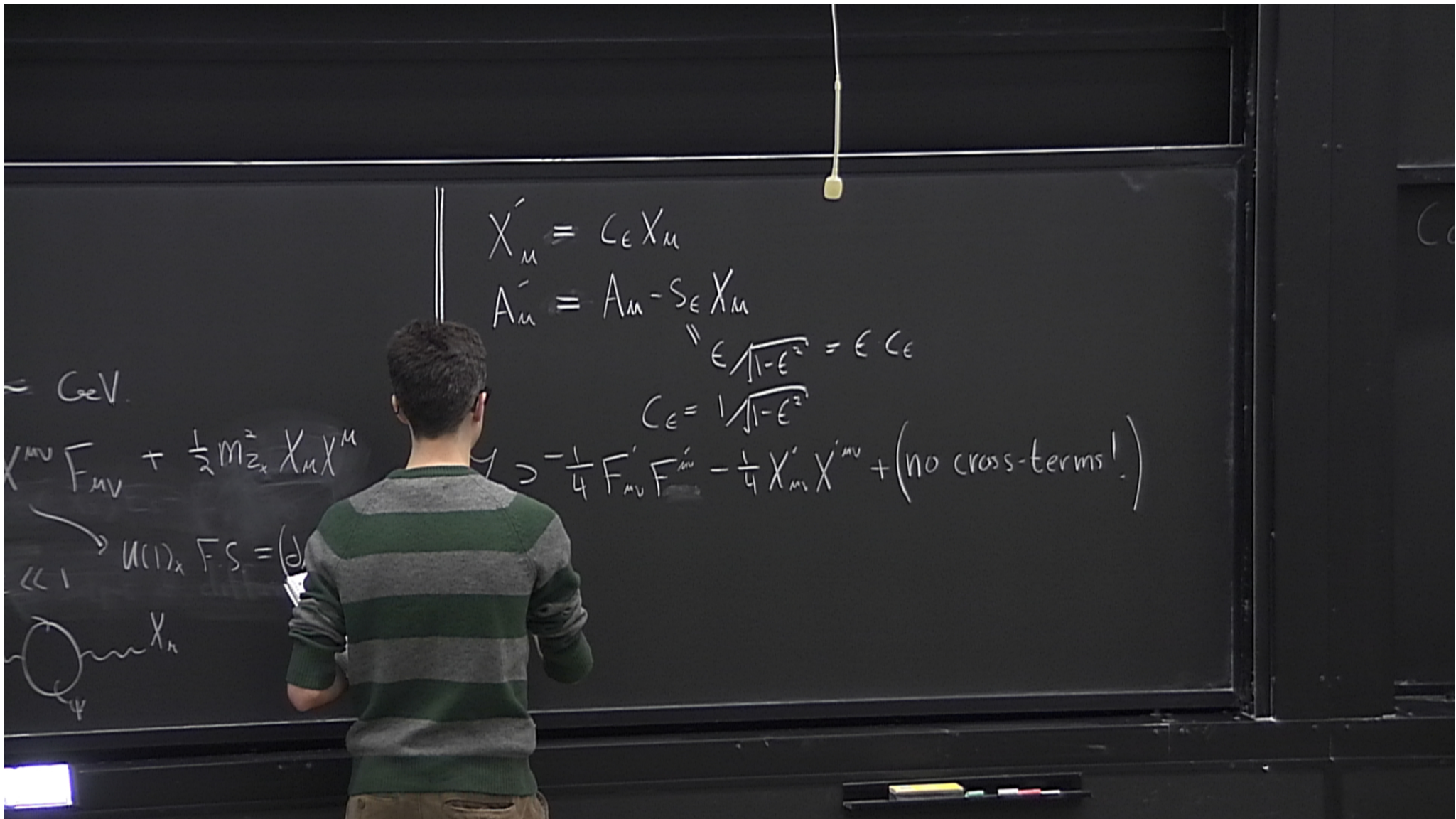
$$X'_M = c_e X_M$$

$$A'_M = A_M - s_e X_M$$

$$c_e = \frac{e}{\sqrt{1 - e^2}} = e c_e$$

$$c_e = \frac{1}{\sqrt{1 - e^2}}$$

$$\mathcal{L} = -\frac{1}{4} F'_{\mu\nu} F'^{\mu\nu} - \frac{1}{4} X'_M X'^{\mu\nu} + (\text{no cross-terms!})$$



$$X'_M = C_\epsilon X_M$$

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$$\epsilon \sqrt{1-\epsilon^2} = \epsilon C_\epsilon$$

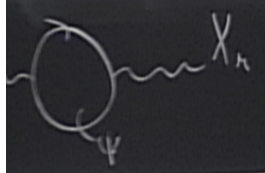
$$C_\epsilon = 1/\sqrt{1-\epsilon^2}$$

$\sim C_\epsilon V$

$$X^{MV} F_{MV} + \frac{1}{2} m_{Z_x}^2 X_M X^M$$

$$\mathcal{L} = -\frac{1}{4} F'_{MV} F'^{MV} - \frac{1}{4} X'_M X'^{MV} + (\text{no cross-terms!})$$

$\ll 1 \rightarrow U(1)_x \text{ FS} = (d)$



$M_{Z_x} \leq 2 M_\pi \Rightarrow Z_x$ only decay to e^+e^- , $\mu^+\mu^-$

can be created as

$(\bar{\nu}\nu, \gamma\gamma)$

very suppressed

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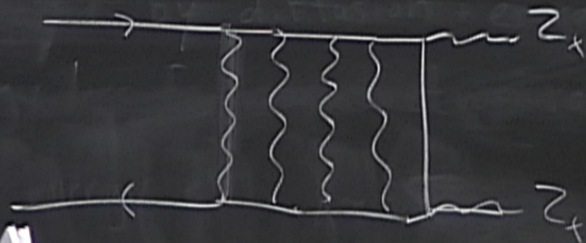
$N \sim 10^3$ *rated 10^1 as*

$(\nu\bar{\nu}, \mu\mu)$
very suppressed

$\langle \sigma N \rangle_{\text{today}} \gg \langle \sigma N \rangle_{\text{fo}}$ by Sommerfeld enhancement

$\hookrightarrow M_x \gg M_{Z_x}$ $\left(\frac{1}{N}\right)$

$N \ll 1$



Arkani-

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$N \sim 10^3$ created 10^1

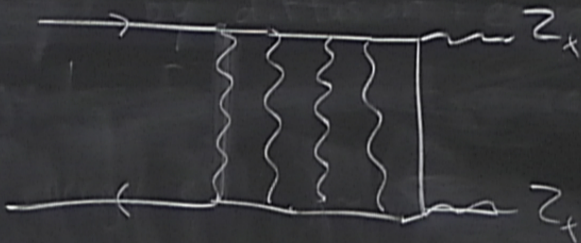
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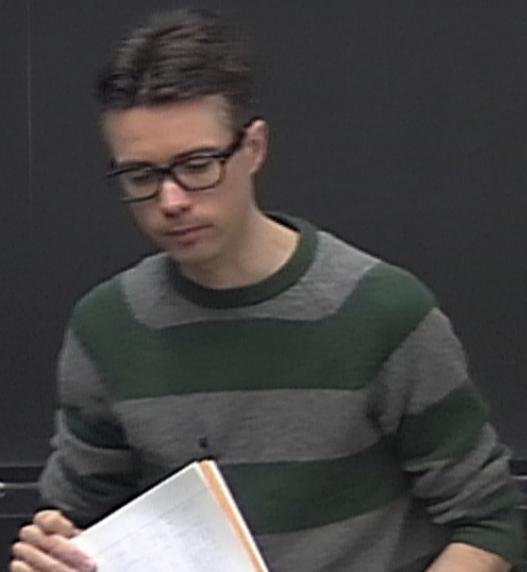
$\hookrightarrow m_x \gg m_{Z_x} \quad \left(\frac{1}{N}\right)$

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Arkani-

Pulsars could possibly explain PAMELA.



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↳ anisotropy in the direction of e^+