

Title: Effective Dynamics of CDT in 2+1 Dimensions

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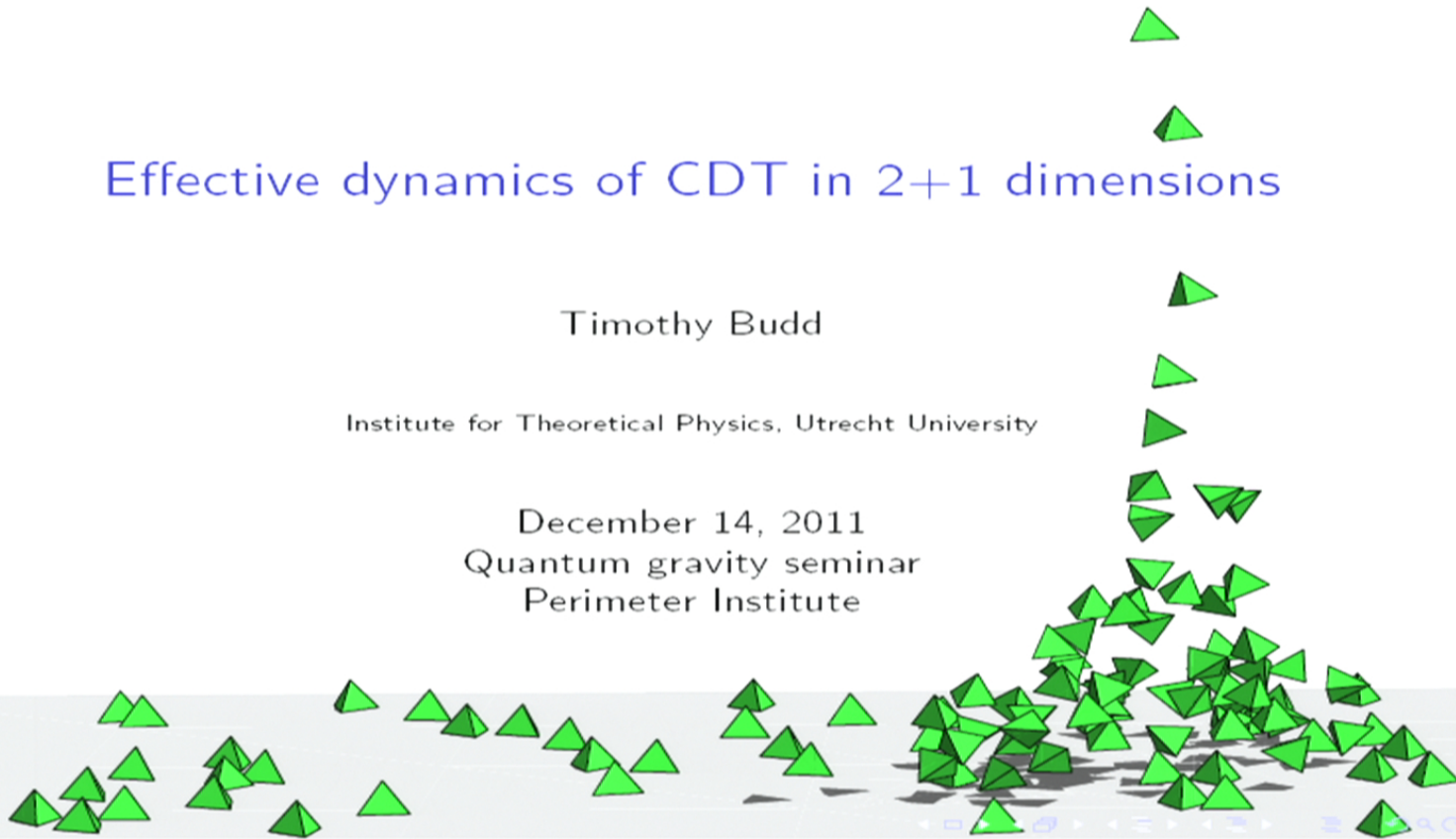
Abstract: To study the continuum limit of a microscopic model of gravity we need microscopic observables that have a clear interpretation in terms of continuum geometry. In general the construction of such observables is notoriously difficult. In the model of causal dynamical triangulations (CDT) it is clear what the microscopic observables are, but at present the only known well-behaved observables with a continuum interpretation are spatial volumes. In this talk I will demonstrate what it takes to go beyond these by introducing the moduli as observables for CDT in 2+1 dimensions with spatial topology of the torus. Measurements of these observables using computer simulations provide valuable clues concerning the effective action describing CDT in the continuum. In particular I will present numerical evidence indicating that the effective kinetic term is well described by a modified Wheeler-De Witt metric like the one appearing in Horava-Lifshitz gravity.

Effective dynamics of CDT in 2+1 dimensions

Timothy Budd

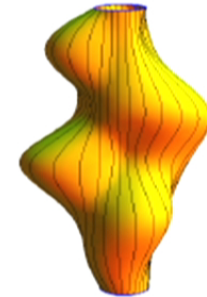
Institute for Theoretical Physics, Utrecht University

December 14, 2011
Quantum gravity seminar
Perimeter Institute



Introduction

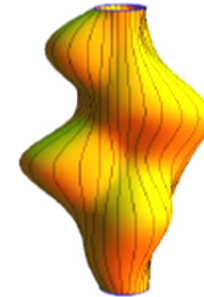
- ▶ Given some quantum gravity path-integral, how do we determine its effective dynamics?



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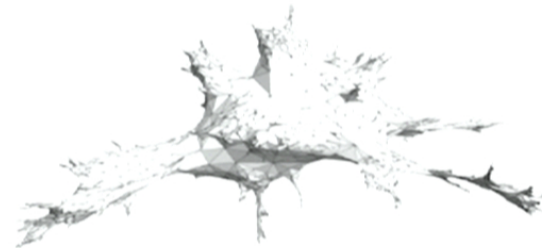
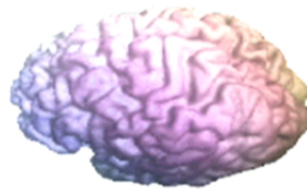
- ▶ Given some quantum gravity path-integral, how do we determine its effective dynamics?
- ▶ Ultimately the only correct way is by studying microscopic observables with a continuum interpretation!
- ▶ True for any approach, however in CDT one is constantly reminded of this: measurement \Leftrightarrow algorithm that assigns numbers to CDT configurations \Leftrightarrow observable.

- ▶ Success story in CDT: spatial volumes as observables.



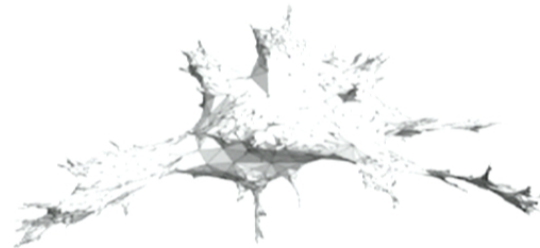
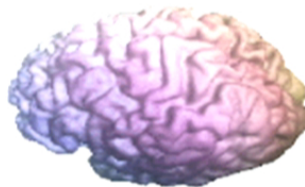
Challenges

- ▶ Construct observables that measure macroscopic shape in a meaningful way.
 - ▶ This is perhaps the hardest part. In fact: whole journals are dedicated to shape recognition in medical imaging, computer graphics, etc. However the random geometries in CDT are much wilder.



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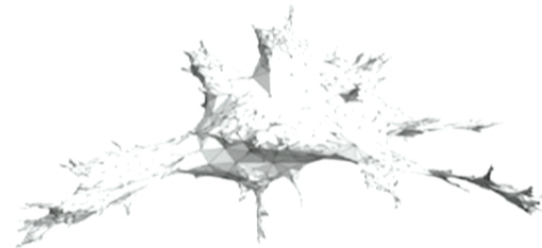
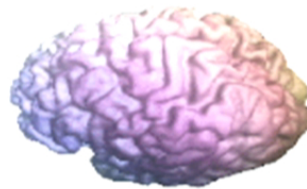
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- ▶ Construct a class of possible effective actions and work out for each one exactly what correlations in the measurements it predicts.
- ▶ Determine the boundary conditions for the path integral that maximize the information contained in the correlations.

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- ▶ Construct a class of possible effective actions and work out for each one exactly what correlations in the measurements it predicts.
- ▶ Determine the boundary conditions for the path integral that maximize the information contained in the correlations.
- ▶ Try to match correlations to the effective actions (analytically or numerically).



Outline

- ▶ Introduction to CDT in 2+1 dimensions
 - ▶ Previous results for spherical topology
- ▶ Effective actions for CDT
 - ▶ Conformal mode problem
 - ▶ Alternative ansatz a la Hořava–Lifshitz
- ▶ Moduli in CDT with torus topology
 - ▶ Introduce moduli as observables
 - ▶ Boundary conditions
 - ▶ Comparison with ansatz
- ▶ Summary and outlook

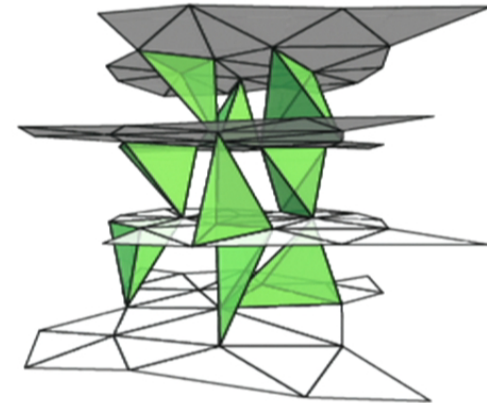


CDT in 2+1 dimensions

- ▶ Causal Dynamical Triangulation is a regularization of the Euclidean path integral over geometries

$$Z = \int \frac{\mathcal{D}g}{\text{Diff}} e^{-S_{EH}[g]} \rightarrow Z_{CDT} = \sum_{\text{triangulations } T} \frac{1}{C_T} e^{-S_{CDT}[T]}.$$

- ▶ Triangulations T are built from equilateral tetrahedra. The sum is over inequivalent ways of putting them together.
- ▶ “Causal” in CDT means that we only allow triangulations that are foliated by 2D triangulations with constant topology.



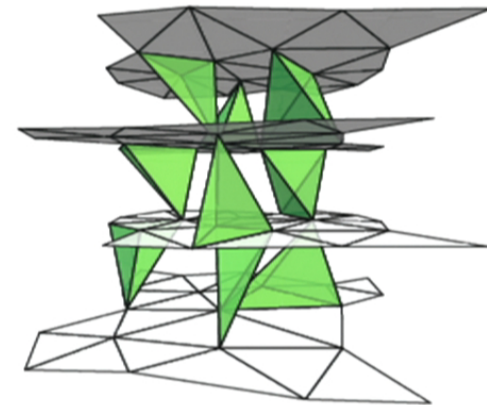
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- ▶ “Causal” in CDT means that we only allow triangulations that are foliated by 2D triangulations with constant topology.
- ▶ The Euclidean Einstein–Hilbert action $S[g] = -\kappa \int d^3x \sqrt{g}(R - 2\Lambda)$ evaluated on the piecewise linear geometry leads to

$$S_{CDT}[T] = k_3 N_3 - k_0 N_0.$$



Monte Carlo simulations

- ▶ The fixed volume partition function reads

$$Z(N_3) = \sum_T \frac{1}{C_T} e^{-k_0 N_0}.$$



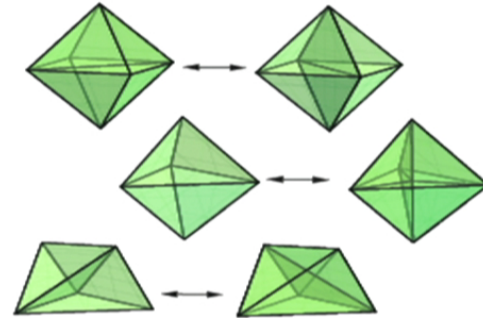
Monte Carlo simulations

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- ▶ The expectation value of an observable $\mathcal{O} : T \rightarrow \mathcal{O}(T)$ is given by

$$\langle \mathcal{O} \rangle_{N_3} = \frac{1}{Z} \sum_T \frac{\mathcal{O}(T)}{C_T} e^{-k_0 N_0}.$$



- ▶ We use Monte Carlo methods to approximate these:

$$\langle \mathcal{O} \rangle_{N_3} \approx \frac{1}{n} \sum_{i=1}^n \mathcal{O}(T_i),$$

where the $\{T_i\}$ is a large set of random triangulations generated by applying a large number of random update moves satisfying a detailed balance condition.



Effective actions for CDT

- ▶ Given a set of observables $f_i : \{\text{CDT triangulations}\} \rightarrow \mathbb{R}$, $i = 1, \dots, k$, measuring large scale geometry, we can write

$$Z_{CDT}(N_3) = \sum_T \frac{1}{C_T} e^{-k_0 N_0} = \int df_1 \int df_2 \cdots \int df_k e^{-S_{eff}[f_i]}, \quad (1)$$

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- ▶ What does the effective action look like around its minimum as $N_3 \rightarrow \infty$?
- ▶ Main question: if we could take the observables f_i to be a complete set describing “the continuum geometry”, would S_{eff} have anything to do with the Einstein-Hilbert action?



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- ▶ We can learn about $S_{eff}[f_i]$ by measuring expectation values $\langle f_i \rangle$ and correlations $\langle f_i f_j \rangle$.
- ▶ Simplest set of observables in CDT: $\{V(t)\}_t$, spatial volume $V(t)$ at time t .



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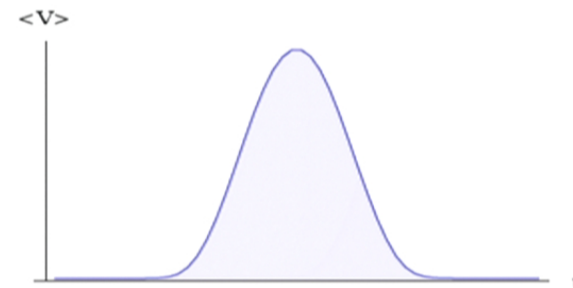
Spherical topology

- ▶ Take the topology to be $S^1 \times S^2$ (periodic boundary conditions).



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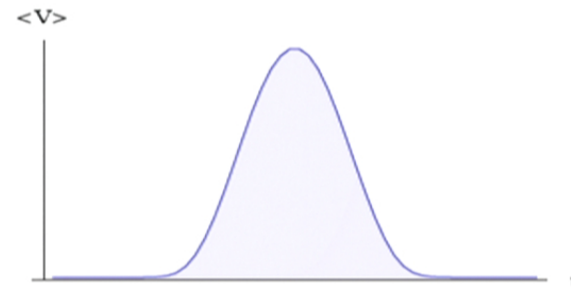
- ▶ Take the topology to be $S^1 \times S^2$ (periodic boundary conditions).
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- ▶ Classical solution to

$$S_{\text{eff}}[V] = c_0 \int dt \left(\frac{\dot{V}^2}{V} - 2c_1 V \right).$$



- ▶ Also correlations $\langle V(t)V(t') \rangle$ well-described by this action for suitable values $c_0, c_1 > 0$.
- ▶ Euclidean Einstein–Hilbert action $\int d^3x \sqrt{g} (-R + 2\Lambda)$ evaluated on spherical cosmology $ds^2 = dt^2 + V(t)d\Omega^2$ gives

$$S_{EH} = -\kappa \int dt \left(\frac{\dot{V}^2}{V} - 2\Lambda V \right) \quad (2)$$

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where \mathcal{G}^{abcd} is the Wheeler-DeWitt metric,

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- ▶ Indefinite metric! Positive definite on traceless directions, negative definite on trace/conformal directions in superspace.
- ▶ CDT is a (well-defined) statistical system, therefore it better be described by a bounded effective action, e.g. in

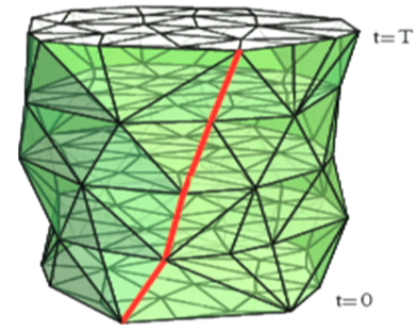
$$Z_{CDT}(N_3) = \int dV(1) \int dV(2) \cdots \int dV(T) e^{-S_{\text{eff}}[V(t)]}. \quad (5)$$



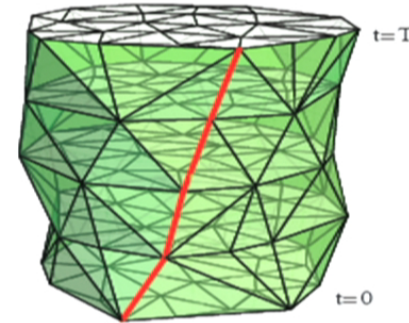
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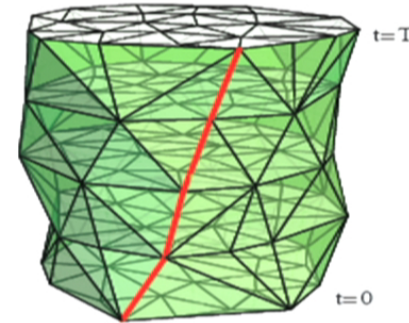


- ▶ The foliation in CDT has consequences for the effective dynamics in two (related) ways.
- ▶ First of all: geometries in CDT have fixed distance between initial and final boundary (unlike GR).
- ▶ We should restrict $S_{eff}[g]$ to an analogous subclass of continuum geometries $\{g\}$. The natural choice is to take those for which the metric can be written in 2+1 split with lapse $N = 1$:



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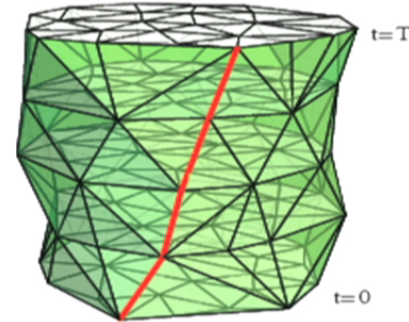


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- ▶ As a consequence we cannot expect a “Hamiltonian constraint” $\delta S/\delta N = 0$ as one of the effective equations of motion.
- ▶ The preferred time-slicing leads a priori to a local scalar degree of freedom: the conformal factor.



- ▶ The second consequence is that we should restrict the symmetry group of $S_{eff}[g]$ to foliation preserving diffeomorphisms $\subset Diff$.
- ▶ The Einstein–Hilbert action (with $N = 1$ and $N^a = 0$)

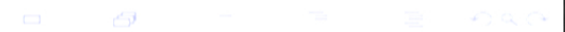
$$S_{EH} = \kappa \int_0^T dt \int d^2x \sqrt{g} (\dot{g}_{ab} \mathcal{G}^{abcd} \dot{g}_{ab} + R - 2\Lambda)$$

generalizes naturally to

$$S_{ansatz} = \kappa \int_0^T dt \int d^2x \sqrt{g} (\dot{g}_{ab} \mathcal{G}_\lambda^{abcd} \dot{g}_{ab} - U[g]),$$

in which the most general ultralocal supermetric is

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- ▶ \mathcal{G}_λ is positive definite for $\lambda < 1/2$; $\lambda = 1$ in EH.
- ▶ We have ended up with an ansatz in the realm of Euclidean (projectable) Hořava–Lifshitz gravity.



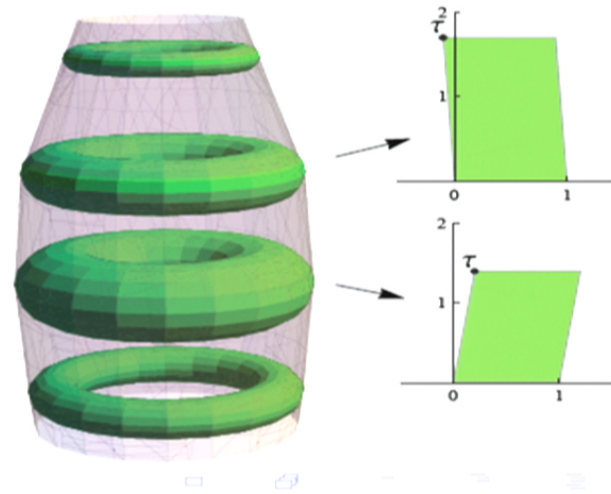
CDT with spatial topology of the torus

- ▶ To test the kinetic term in

$$S_{\text{ansatz}} = \kappa \int_0^T dt \int d^2x \sqrt{g} (\dot{g}_{ab} \mathcal{G}_\lambda^{abcd} \dot{g}_{ab} - U[g]),$$

we need some observable that measures traceless degrees of freedom in the spatial metric.

- ▶ Torus topology! The torus has a two-parameter family of conformal shapes, parametrized by the moduli $\tau = \tau_1 + i\tau_2$.



Measurement of τ in the continuum

- ▶ Any metric g_{ab} on the torus is conformally flat and up to diffeomorphisms the flat unit-volume metrics are given by

$$\hat{g}_{ab}(\tau, x) = \frac{1}{\tau_2} \begin{pmatrix} 1 & \tau_1 \\ \tau_1 & \tau_1^2 + \tau_2^2 \end{pmatrix}.$$

- ▶ How do we find the “periodic” coordinates $x^1, x^2 \in [0, 1)$ such that $ds^2 = \Omega^2(x) \hat{g}_{ab} dx^a dx^b$?



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- ▶ The 1-forms $\alpha^1 = dx^1$ and $\alpha^2 = dx^2$ are special: they form a basis of the space of harmonic forms, i.e. $d\alpha^i = \delta\alpha^i = 0$ or $\Delta\alpha^i = 0$ with

$$\Delta = d\delta + \delta d \quad (\text{Hodge Laplacian})$$

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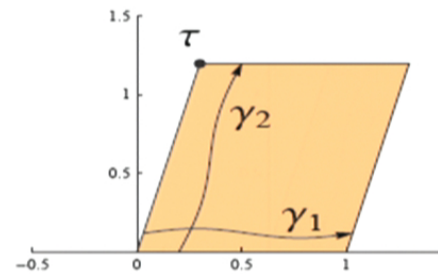
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- ▶ Given generators γ_j , the α^i are uniquely determined by $\int_{\gamma_j} \alpha^i = \delta_j^i$.



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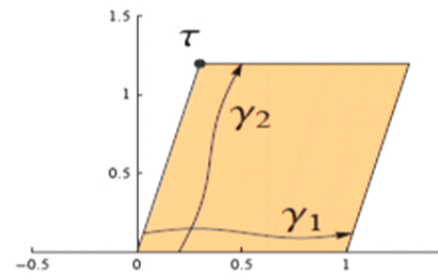
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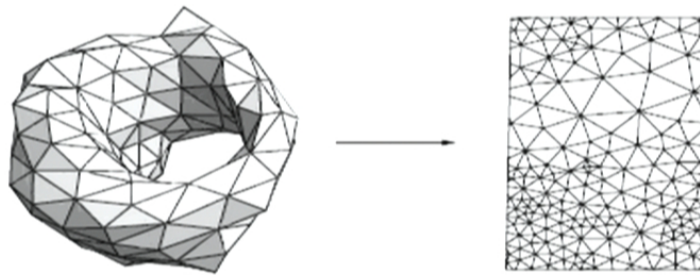
- ▶ Given generators γ_j , the α^i are uniquely determined by $\int_{\gamma_j} \alpha^i = \delta_j^i$.

$$\tau = -\frac{\langle \alpha^1, \alpha^2 \rangle}{\langle \alpha^2, \alpha^2 \rangle} + i \sqrt{\frac{\langle \alpha^1, \alpha^1 \rangle}{\langle \alpha^2, \alpha^2 \rangle} - \left(\frac{\langle \alpha^1, \alpha^2 \rangle}{\langle \alpha^2, \alpha^2 \rangle} \right)^2}.$$



Measurement of τ for torus triangulations

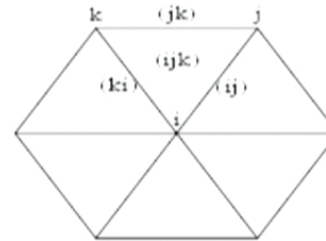
- ▶ Recipe: [Ambjørn, Barkley, TB, arXiv:1110.4649]
 - ▶ Determine pair of curves γ_j that generate fundamental group.
 - ▶ Find the 2-dimensional kernel of Δ .
 - ▶ Determine basis α_j such that $\int_{\gamma_j} \alpha^i = \delta_j^i$.
 - ▶ Compute $\tau = -\frac{\langle \alpha^1, \alpha^2 \rangle}{\langle \alpha^2, \alpha^2 \rangle} + i \sqrt{\frac{\langle \alpha^1, \alpha^1 \rangle}{\langle \alpha^2, \alpha^2 \rangle} - \left(\frac{\langle \alpha^1, \alpha^2 \rangle}{\langle \alpha^2, \alpha^2 \rangle} \right)^2}$.
- ▶ We need discrete differential forms! We will borrow them from the theory of simplicial complexes.
- ▶ Once we have these ingredients we can construct discrete conformal maps:



Discrete differential forms

- ▶ In 2d triangulations we have

- ▶ Vertices: 0-simplices denoted by i ,
- ▶ Edges: 1-simplices denoted by (ij) ,
- ▶ Triangles: 2-simplices denoted by (ijk) .

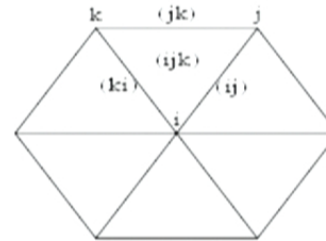


- ▶ A discrete p -form ϕ assigns a real number ϕ_σ to each (oriented) p -simplex σ .
- ▶ Exterior derivative on 1-forms: $(d\phi)_{(ijk)} = \phi_{(ij)} + \phi_{(jk)} + \phi_{(ki)}$
- ▶ Divergence on 1-forms: $(\delta\phi)_j = \sum_{\text{edges } (ij)} \phi_{(ij)}$
- ▶ More generally: $(d\psi)(\sigma_{p+1}) = \sum_{\sigma_p \in \sigma_{p+1}} (-1)^{\sigma_p} \psi(\sigma_p)$.
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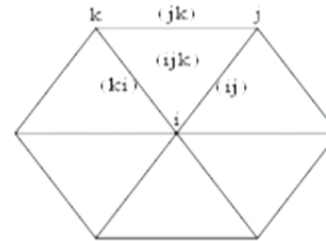


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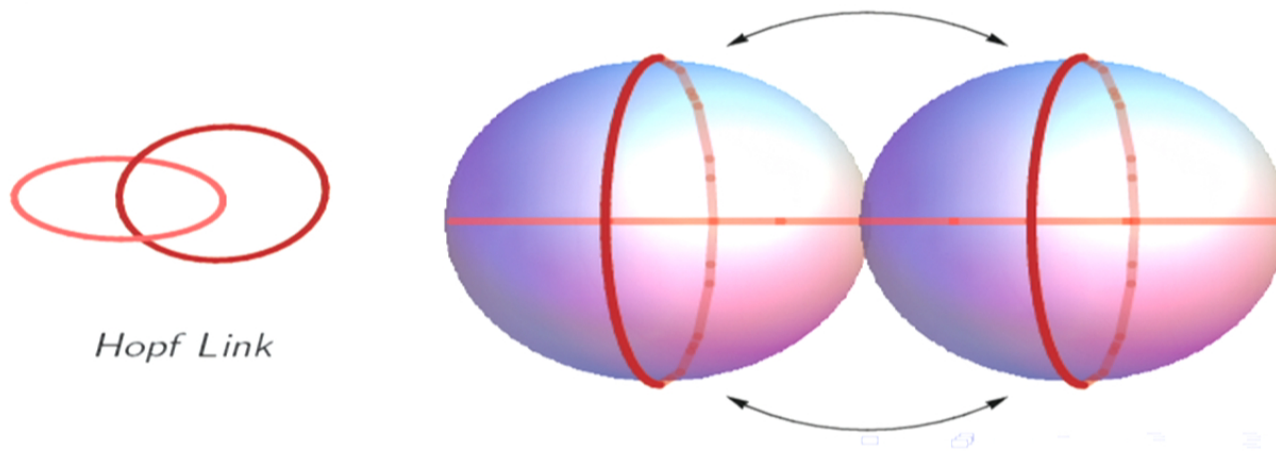


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- ▶ $\Delta = d\delta + \delta d$ becomes a matrix of which we can determine the nullspace $\Delta\alpha = 0$ ($\Leftrightarrow d\alpha = 0$ and $\delta\alpha = 0$)



Boundary conditions

- ▶ Periodic time $T^2 \times S^1$: contrary to the spherical case we do not observe symmetry breaking in time, i.e. no “stalk” appears with minimal spatial volume. Expectation values seem time-independent.
- ▶ Several ways to make it non-trivial: insert sources for spatial volume, twisted boundary conditions, . . .
- ▶ Can also take fixed boundaries. In particular: we can take the tori to degenerate to ring-shaped singularities at the boundaries. What we get is the Hopf foliation of S^3 :

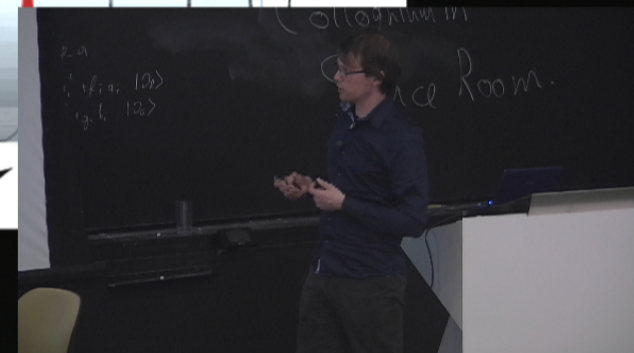
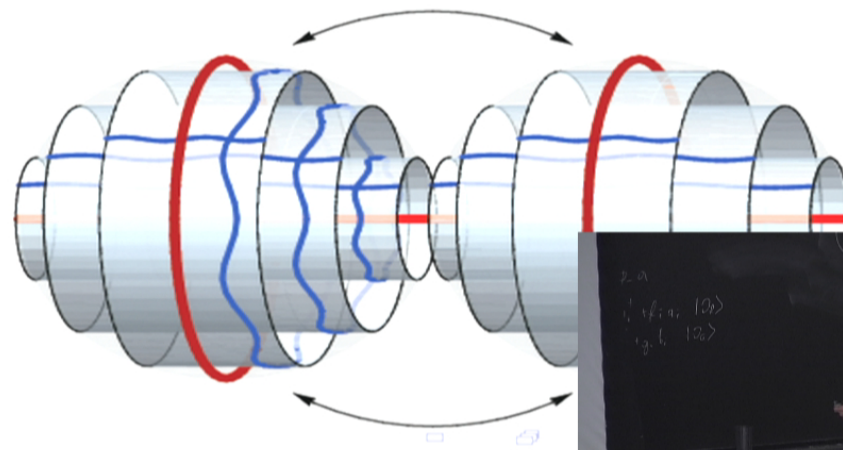


Boundary conditions

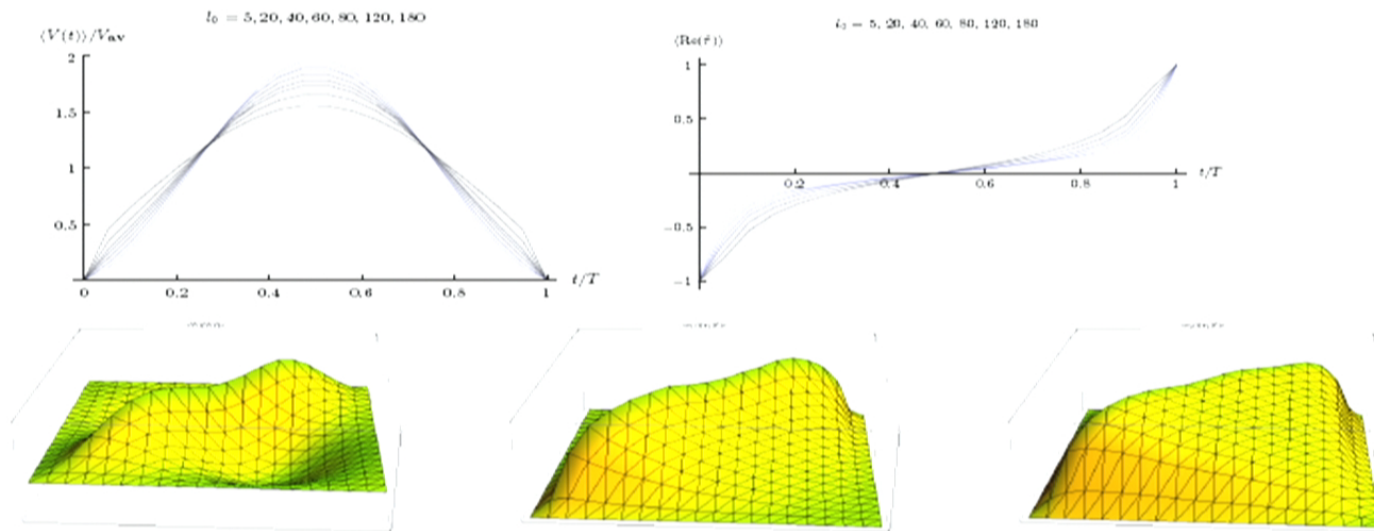
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Hopf Link

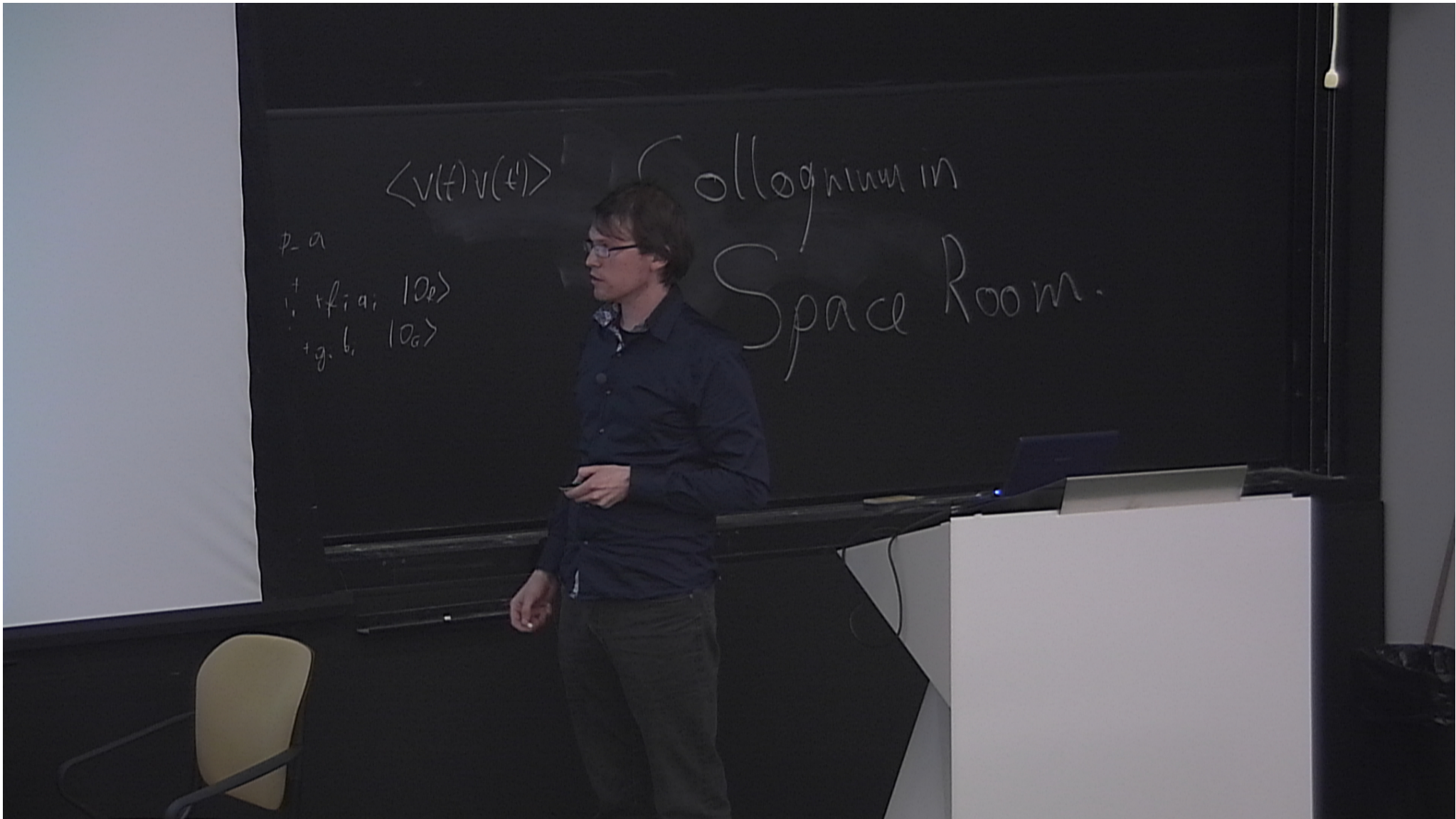


Data

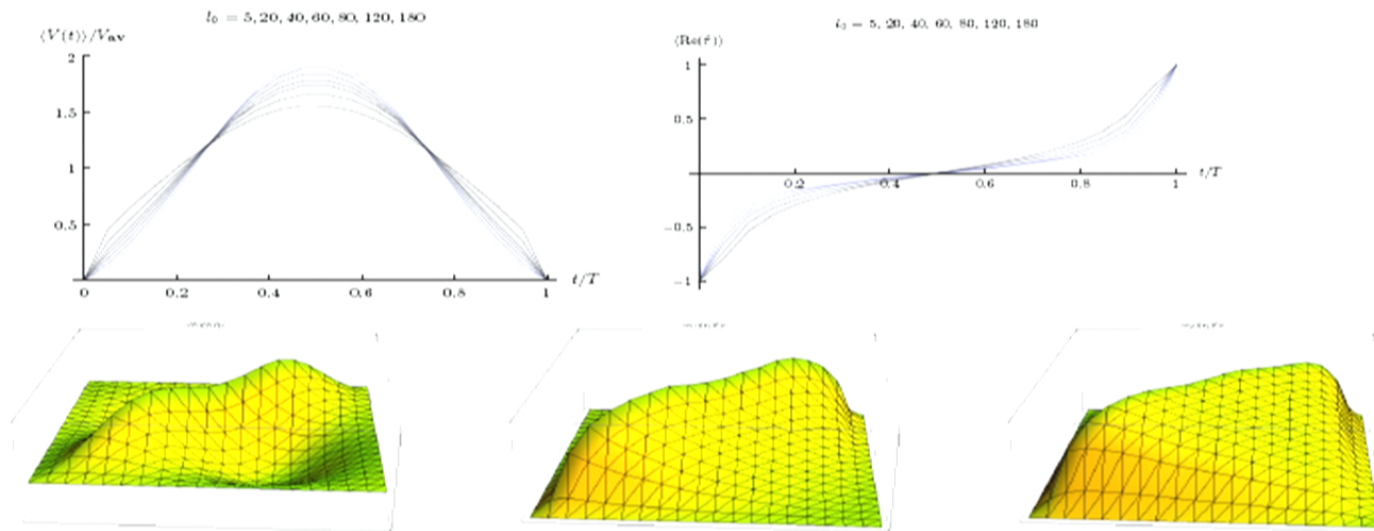


► Plenty of data, but where to start?





Data



- ▶ Plenty of data, but where to start?
- ▶ The “cusp” on the diagonal of the correlators tells us about the effective kinetic term!

Comparison to ansatz

- ▶ Evaluating

$$S_{\text{ansatz}} = \kappa \int_0^T dt \int d^2x \sqrt{g} (\dot{g}_{ab} \mathcal{G}_\lambda^{abcd} \dot{g}_{ab} - U[g]),$$

on homogeneous cosmology $ds^2 = dt^2 + V(t) \hat{g}_{ab}(\tau) dx^a dx^b$ gives

$$S[V, \tau] = \kappa \int dt \left(\left(\frac{1}{2} - \lambda \right) \frac{\dot{V}^2}{V} + \frac{V}{2} \frac{\dot{\tau}_1^2 + \dot{\tau}_2^2}{\tau_2^2} - U(V, \tau) \right).$$



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Depends sensitively on the flatness.

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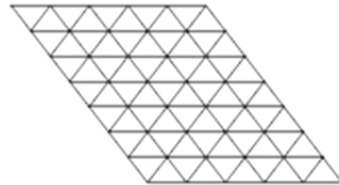
with

$$A[g] = \frac{\delta_{ij}}{4\tau_2^2} \int d^2x \sqrt{g} \frac{\delta \tau_i}{\delta g_{ab}} \mathcal{G}_{abcd}^\lambda \frac{\delta \tau_j}{\delta g_{cd}}.$$

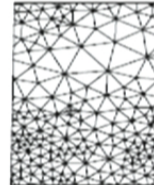
- ▶ Writing the metric in conformal gauge $ds^2 = \Omega(x)^2 \hat{g}_{ab} dx^a dx^b$ we find

$$\begin{aligned}
 A[g] &= \frac{\delta_{ij}}{4\tau_2^2} \int d^2x \sqrt{g} \frac{\delta\tau_i}{\delta g_{ab}} \mathcal{G}_{abcd}^\lambda \frac{\delta\tau_j}{\delta g_{cd}} \\
 &= \int d^2x \sqrt{\hat{g}} \Omega(x)^{-2} \\
 &= \frac{\int d^2x \sqrt{g} \exp(2\Delta^{-1}R)}{(\int d^2x \sqrt{g} \exp(\Delta^{-1}R))^2} \geq \frac{1}{V}
 \end{aligned}$$

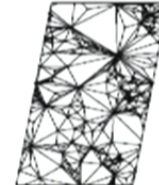
- ▶ A natural discretization of $A[g]$ to triangulations T is $A[T] = \sum_{\sigma \in T} \text{area}(\sigma)^2$, where $\text{area}(\sigma)$ is the area of the triangle σ in the conformal embedding of T in the plane.



$$VA[T] = 1$$



$$VA[T] \approx 1.9$$



$$VA[T] \approx 4.9$$

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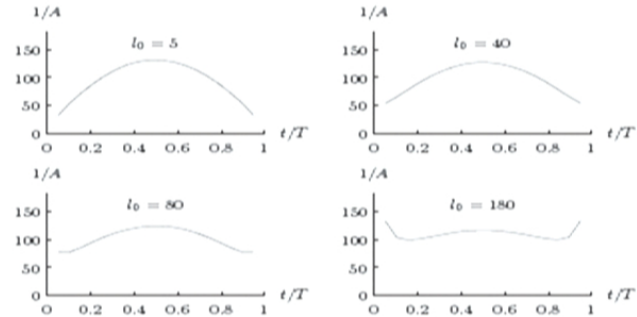
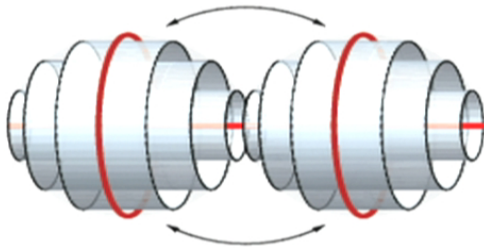
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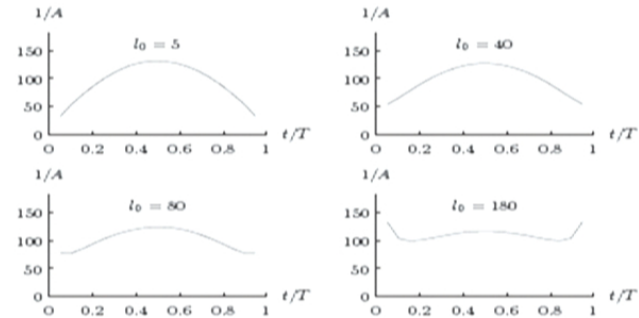
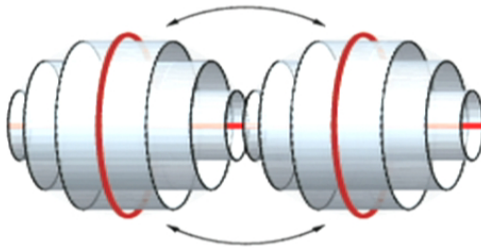
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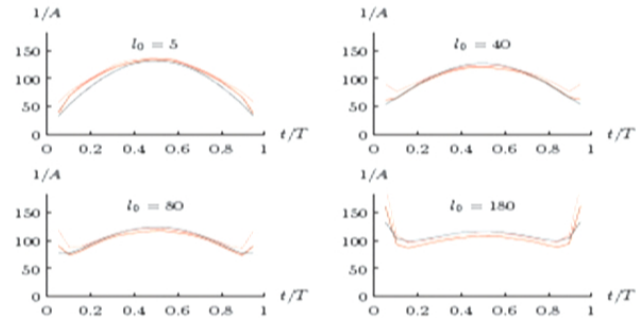
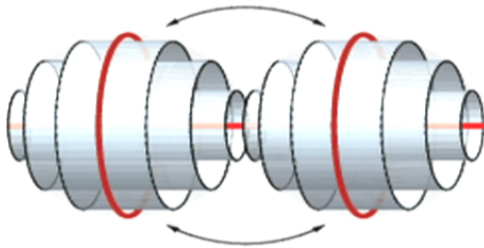


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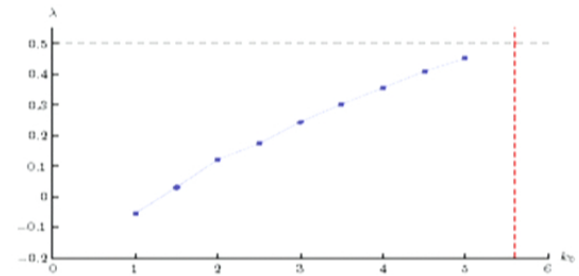
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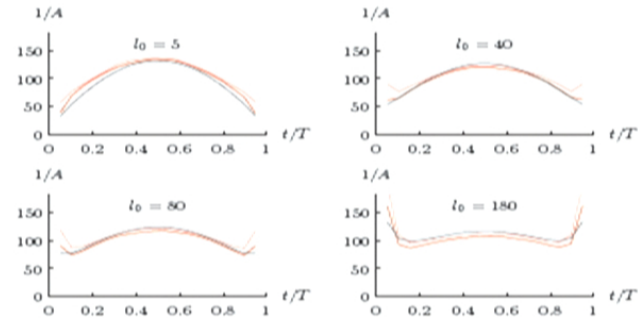
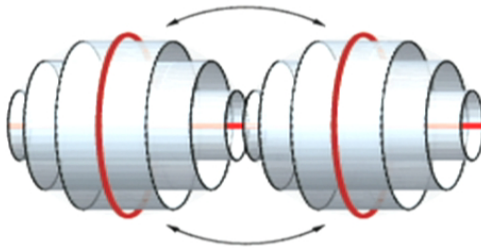
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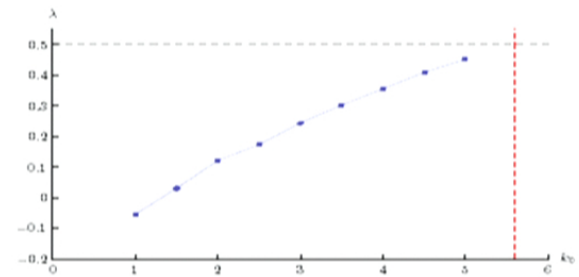
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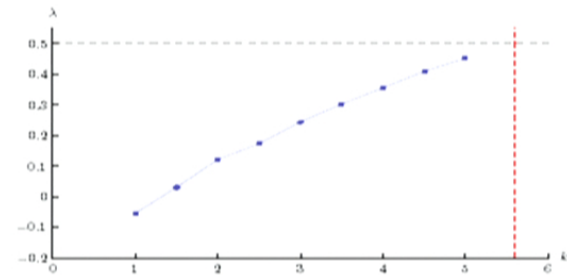
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- ▶ As $k_0 \rightarrow k_0^*$ the correlation in $V(t)$ of consecutive slices drops to zero compared to correlation in shape τ .



- ▶ Similar results have been obtained from studying local metric fluctuations near fixed boundaries in CDT. [TB, arXiv:1110.5158]
- ▶ Indication that spatial conformal symmetry is implemented at/near the phase transition. Relation to Shape Dynamics in 2+1 dimensions? [TB, T. Kosłowski, arXiv:1107.1287]
The weak coupling between consecutive spatial geometries may ensure that the conformal properties of 2d gravity are maintained.

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- ▶ In the presence of a preferred time-foliation direct probes of the effective kinetic term are available. In particular λ in the modified WdW metric can be deduced from measurements.
- ▶ CDT and Hořava–Lifshitz gravity seem to be living in the same theory space and indeed our data is well-described by a kinetic term of the type appearing in HL.



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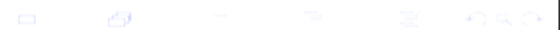
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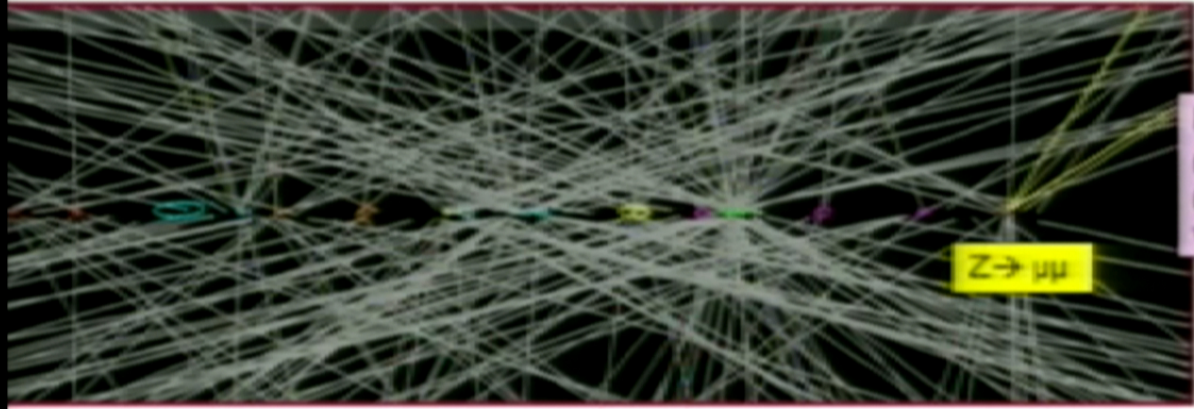
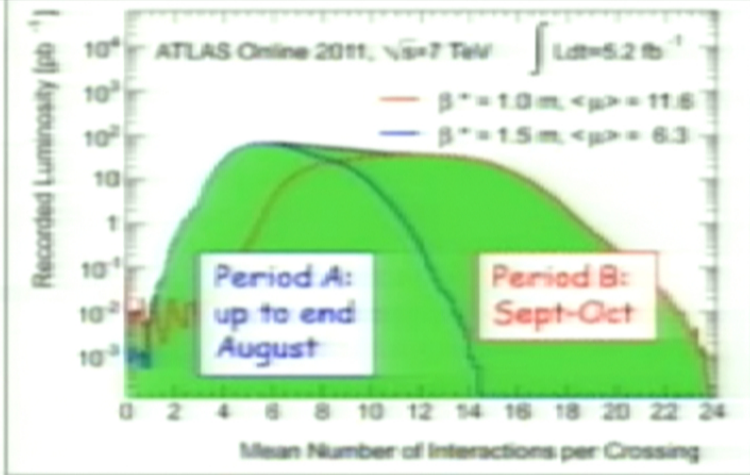
Thanks for your attention!



Price to pay for the high luminosity:
larger-than-expected pile-up

Pile-up = number of interactions per crossing
Tails up to ~20 → comparable to design
luminosity
(50 ns operation; several machine parameters pushed
beyond design)

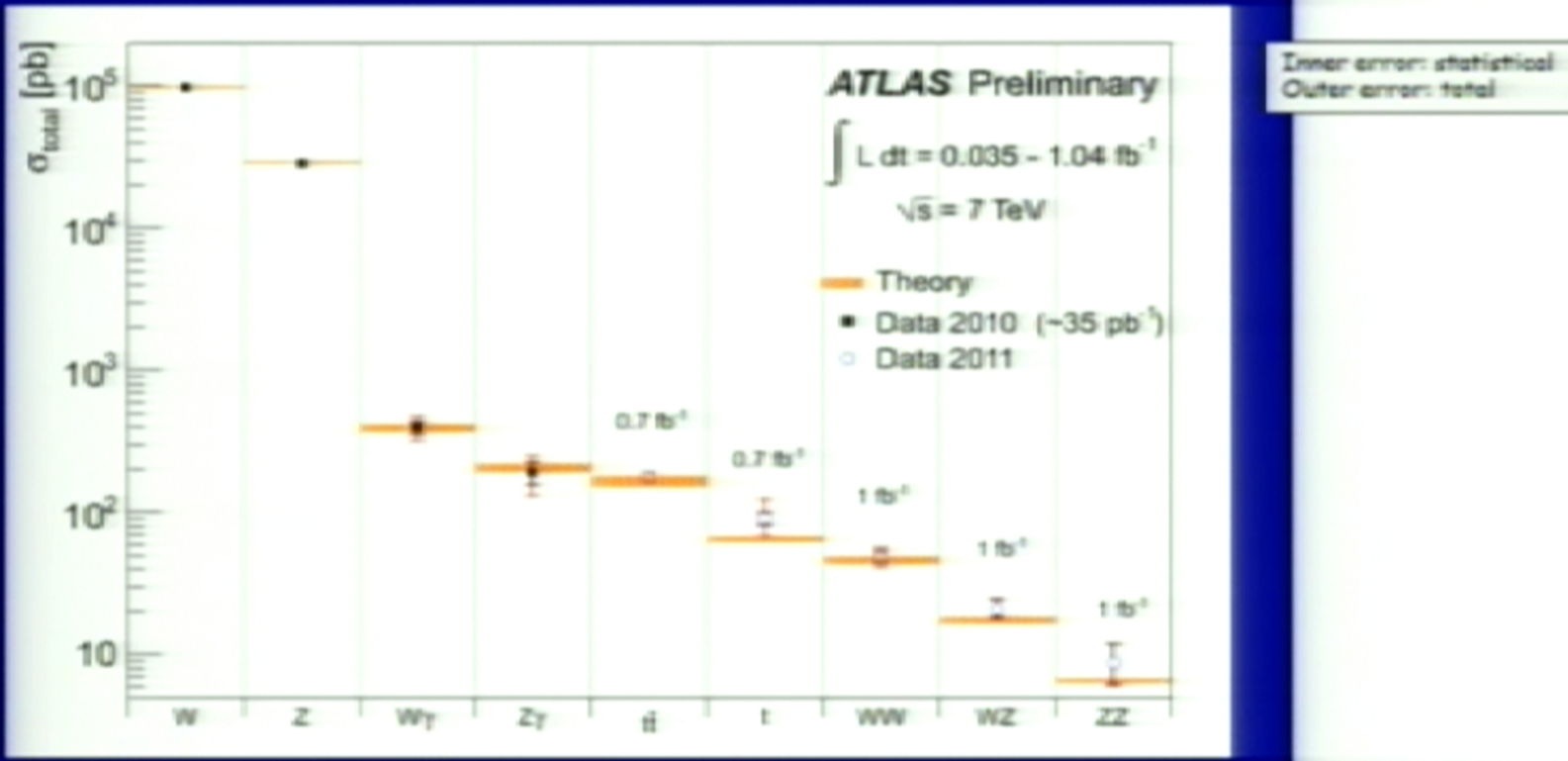
LHC figures used over the last 20 years:
~ 2 (20) events/crossing at L=10³³ (10³⁴)



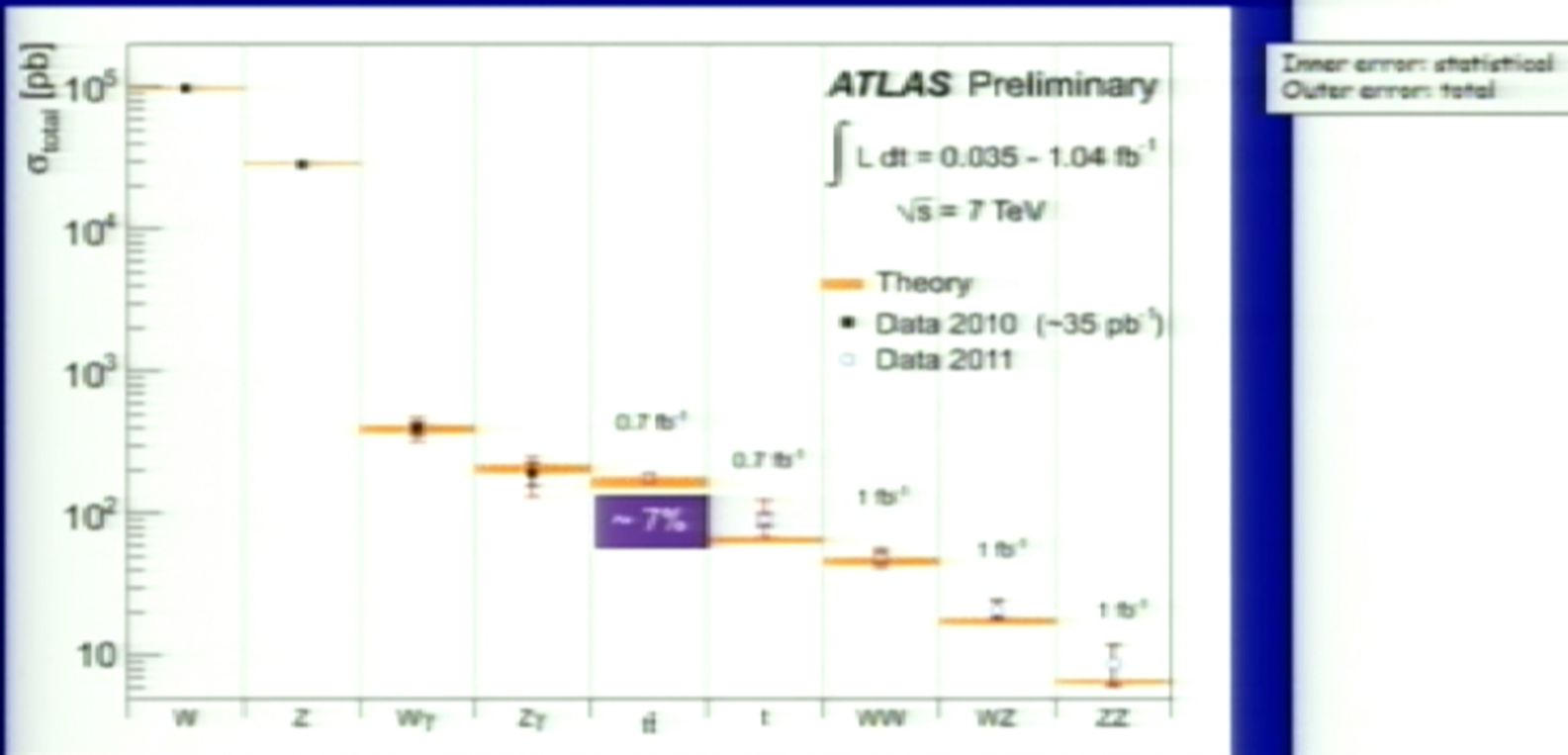
Event with 20
reconstructed vertices
(ellipses have 20 σ size for
visibility reasons)

Challenging for trigger, computing resources, reconstruction of physics objects
(in particular E_T^{miss} , soft jets, ...)
Precise modeling of both in-time and out-of-time pile-up in simulation is essential

Summary of main electroweak and top cross-section measurements



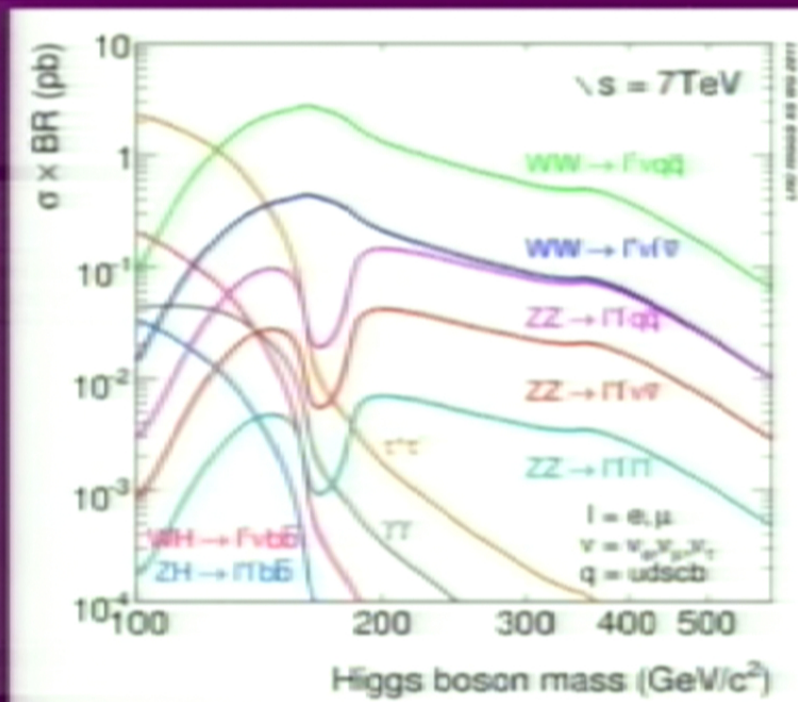
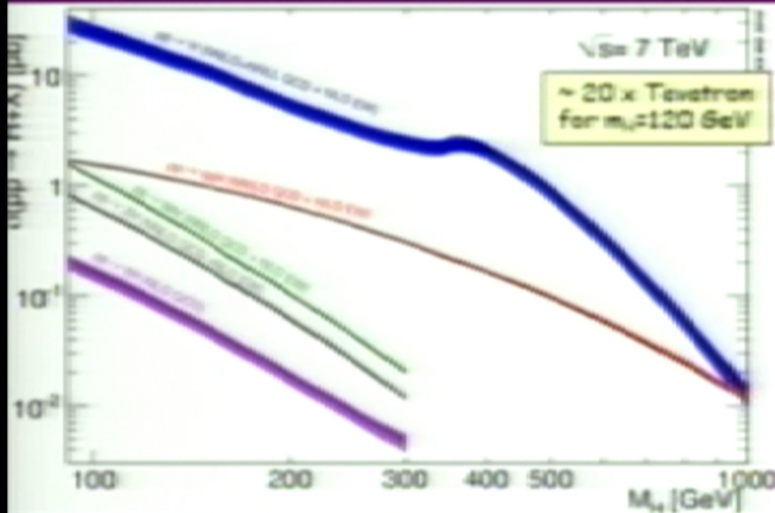
Summary of main electroweak and top cross-section measurements



Good agreement with SM expectations (within present uncertainties)

Experimental precision starts to challenge theory for e.g. $t\bar{t}$ (background to most H searches)

SM Higgs production cross-section and decay modes

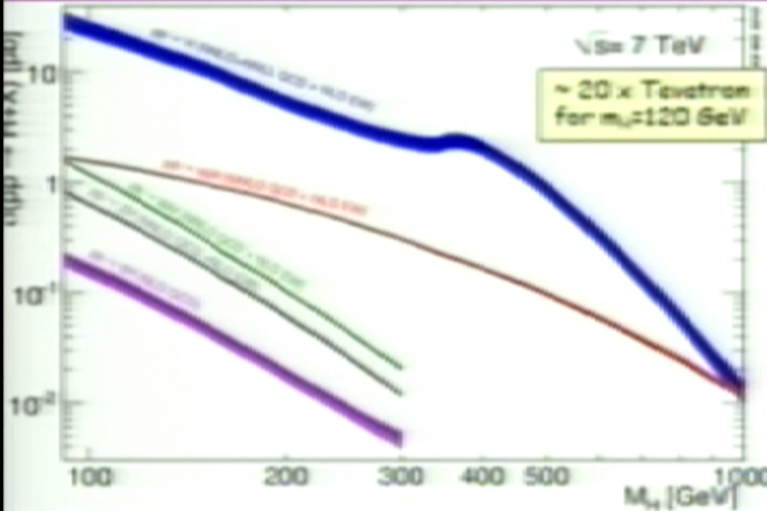


- 1 Cross-sections computed to NNLO in most cases → theory uncertainties reduced to < 20%
- 1 Huge progress also in the theoretical predictions of numerous and complex backgrounds
- Excellent achievements of the theory community; very fruitful discussions with the experiments (e.g. through LHC Higgs Cross Section WG, LPCC, etc.)

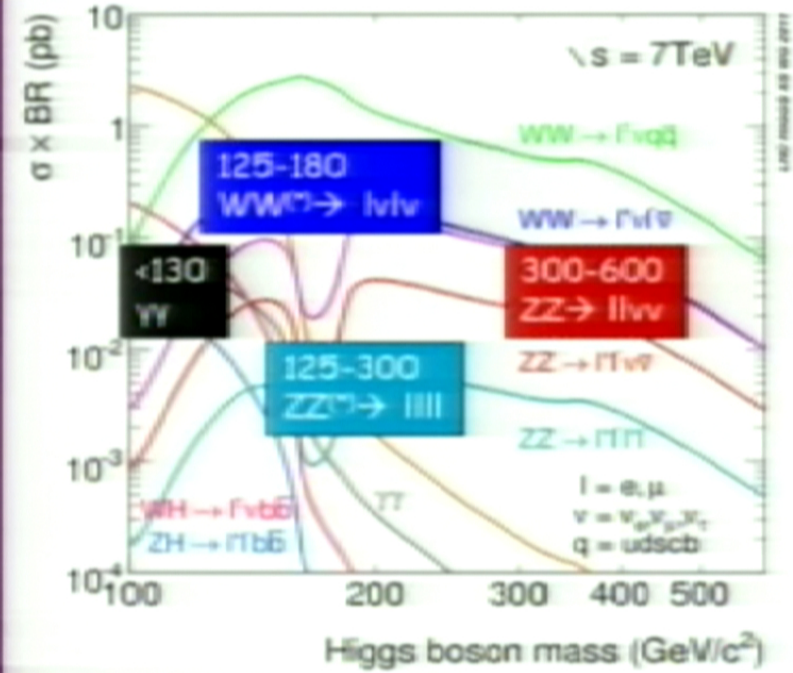
ATLAS: Update of SM Higgs searches, 13/12/2011

8

SM Higgs production cross-section and decay modes



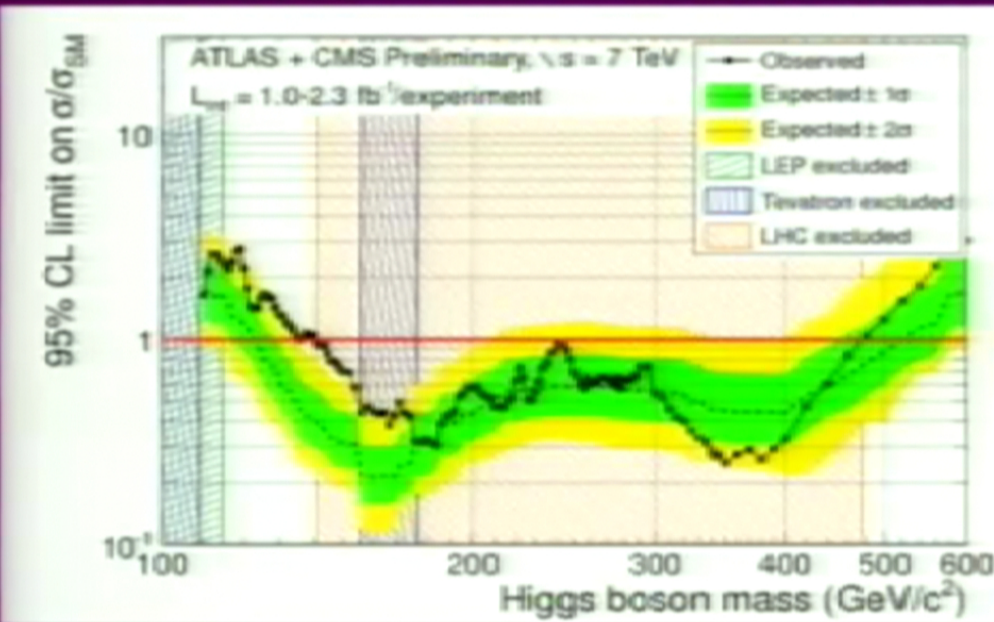
Experimentally most sensitive channels vs $m_{H,\pm}$



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- 1 Huge progress also in the theoretical predictions of numerous and complex backgrounds
- Excellent achievements of the theory community; very fruitful discussions with the experiments (e.g. through LHC Higgs Cross Section WG, LPCC, etc.)

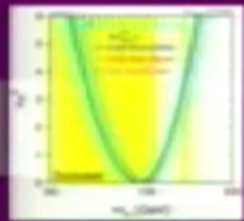
ATLAS: Update of SM Higgs searches, 13/12/2011

Present status (as of this morning ...)



November 2011
 CMS PAS HIG-11-023,
 ATLAS-CONF-2011-157

LEP (95%CL)
 $m_{H^0} > 114.4 \text{ GeV}$



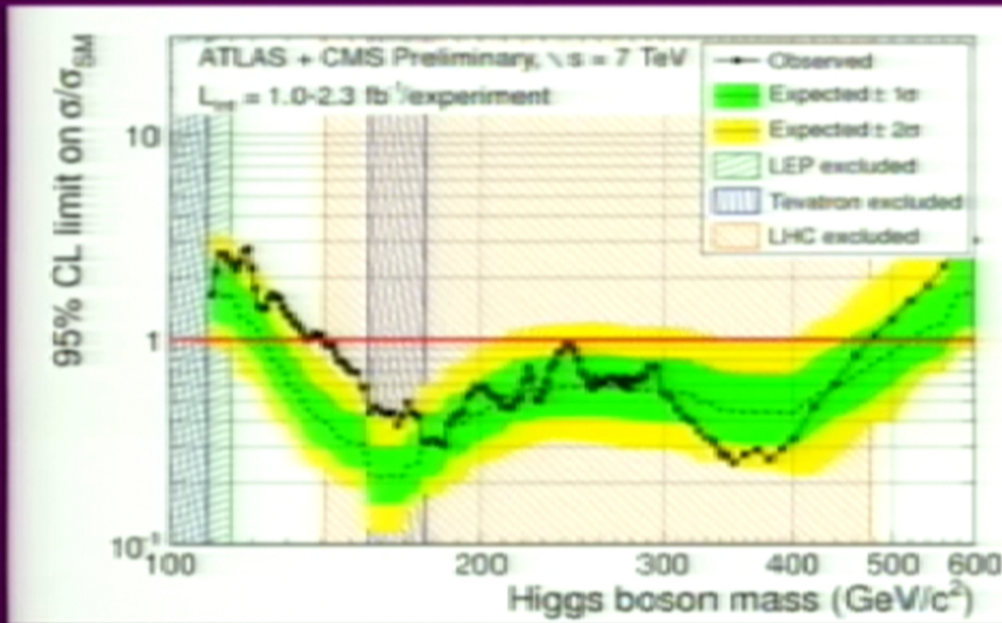
Tevatron exclusion (95%CL):
 $100 < m_{H^0} < 109 \text{ GeV}$
 $156 < m_{H^0} < 177 \text{ GeV}$

First ATLAS+CMS combination: based on data recorded until end August 2011:
 up to $\sim 2.3 \text{ fb}^{-1}$ per experiment

Excluded 95% CL : 141-476 GeV
 Excluded 99% CL : 146-443 GeV (except $\sim 222, 238-248, \sim 295 \text{ GeV}$)
 Expected 95% CL : 124-520 GeV \rightarrow max. deviation from background-only: $\sim 3\sigma$ ($m_{H^0} \sim 144 \text{ GeV}$)

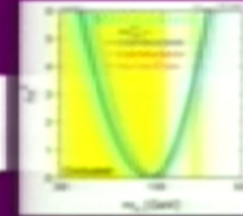
Production update of CMS Higgs searches, 2011-11-02

Present status (as of this morning ...)



November 2011
 CMS PAS HIG-11-023,
 ATLAS-CONF-2011-157

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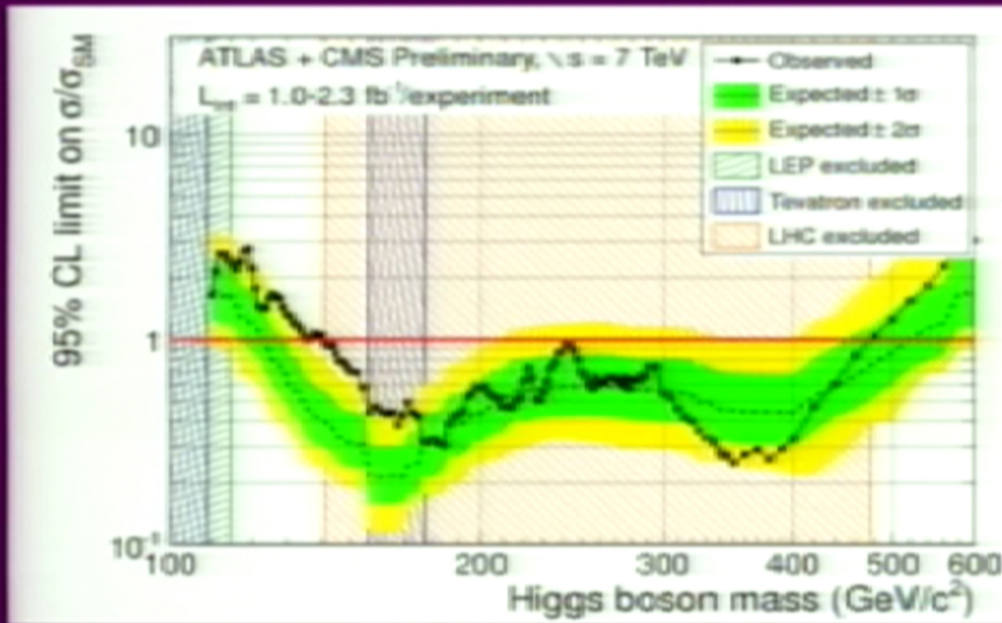
Tevatron exclusion (95%CL):
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First ATLAS+CMS combination: based on data recorded until end August 2011:
 up to ~ 2.3 fb⁻¹ per experiment

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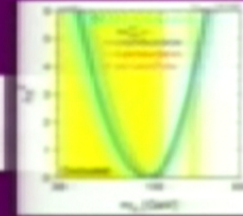
ATLAS+CMS Update on Higgs Searches, 2011-11-02

Present status (as of this morning ...)



November 2011
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 ATLAS-CONF-2011-157

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ATLAS and CMS Higgs boson searches, 2011-2012

Over the last months ...

Huge efforts to improve understanding of detector performance:

- 2011 data recorded with very different conditions compared to 2010, in particular the latest period with higher pile-up
- several measurements with 2010 data already dominated by systematic uncertainty → need to dismantle systematics
- Improved knowledge (of many subtle effects...) propagated to simulation and reconstruction: detailed simulation of in- and out-of-time pile-up including bunch-train structure; new alignment; accurate simulation of absorber plates in the EM calorimeter (→ better agreement data-MC for e/γ showers); modeling varying detector conditions in MC; etc. etc.



Necessary, high-priority work for the full ATLAS physics programme based on the 2011 data

Higgs searches:

We updated the most sensitive channels in the best motivated (EW fit) and not-yet-excluded low-mass region: $H \rightarrow \gamma\gamma$ (4.9 fb^{-1}), $H \rightarrow 4l$ (4.8 fb^{-1}), $H \rightarrow WW \rightarrow l\nu l\nu$ (2.1 fb^{-1})

Micro-summary of present Higgs searches in ATLAS

Channel	$m_{H\pm}$ range (GeV)	Int. lumi fb^{-1}	Main backgrounds	Number of signal events after cuts	S/B after cuts	Expected $\sigma/\sigma_{\text{SM}}$ sensitivity
$H \rightarrow \gamma\gamma$	110-150	4.9	$\gamma\gamma, \gamma j, jj$	~ 70	~ 0.02	1.6-2
$H \rightarrow \tau\tau \rightarrow ll + \nu$	110-140	1.1	$Z \rightarrow \tau\tau, \text{top}$	~ 0.8	~ 0.02	30-60
$H \rightarrow \tau\tau \rightarrow l\tau_{\text{had}}$	100-150	1.1	$Z \rightarrow \tau\tau$	~ 10	$\sim 5 \cdot 10^{-3}$	10-25
$W/ZH \rightarrow bbl(l)$	110-130	1.1	$W/Z + \text{jets}, \text{top}$	~ 6	$\sim 5 \cdot 10^{-3}$	15-25
$H \rightarrow WW^{(*)} \rightarrow l\nu l\nu$	110-300	2.1	$WW, \text{top}, Z + \text{jet}$	~ 20 (130 GeV)	~ 0.3	0.3-8
$H \rightarrow ZZ^{(*)} \rightarrow 4l$	110-600	4.8	ZZ^*, top, Zbb	~ 2.5 (130 GeV)	~ 1.5	0.7-10
$H \rightarrow ZZ \rightarrow ll \nu\nu$	200-600	2.1	$ZZ, \text{top}, Z + \text{jets}$	~ 20 (400 GeV)	~ 0.3	0.8-4
$H \rightarrow ZZ \rightarrow ll qq$	200-600	2.1	$Z + \text{jets}, \text{top}$	2-20 (400 GeV)	0.05-0.5	2-6
$H \rightarrow WW \rightarrow l\nu qq$	240-600	1.1	$W + \text{jets}, \text{top}, \text{jets}$	~ 45 (400 GeV)	10^{-3}	5-10

- ❑ Based on (conservative) cut-based selections
- ❑ Large and sometimes not well-known backgrounds estimated mostly with data-driven techniques using signal-free control regions

$H \rightarrow WW^{(*)} \rightarrow l\nu l\nu$ ($e\nu e\nu, \mu\nu \mu\nu, e\nu \mu\nu$)

$110 < m_{H} < 300 \text{ GeV}$

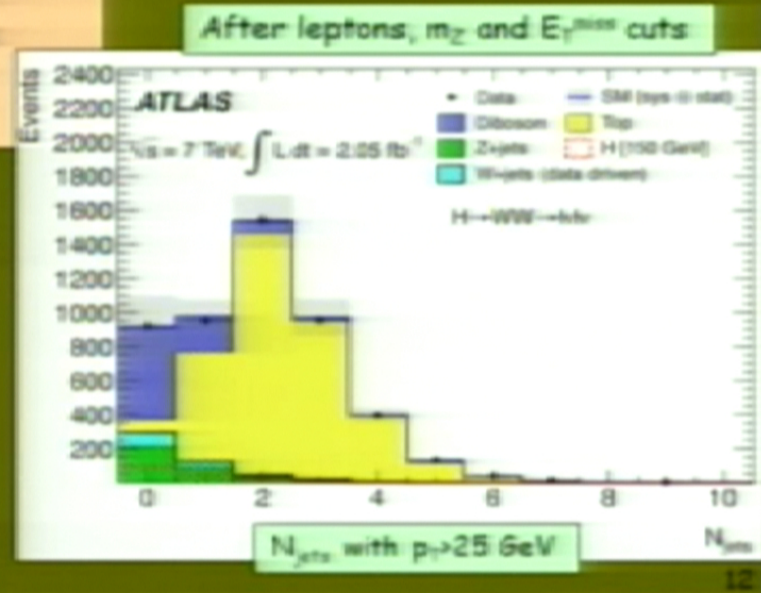
- Most sensitive channel over $\sim 125\text{-}180 \text{ GeV}$ ($\sigma \sim 200 \text{ fb}$)
- However: challenging: $2\nu \rightarrow$ no mass reconstruction/peak \rightarrow "counting channel"
- 2 isolated opposite-sign leptons, large E_T^{miss}
- Main backgrounds: WW , top, Z +jets, W +jets
 - $\rightarrow m_{ll} \neq m_Z$, b-jet veto, ...
 - \rightarrow Topological cuts against "irreducible" WW background:
 - $p_{Tll}, m_{ll}, \Delta\phi_{ll}$ (smaller for scalar Higgs), $m_T(ll, E_T^{\text{miss}})$

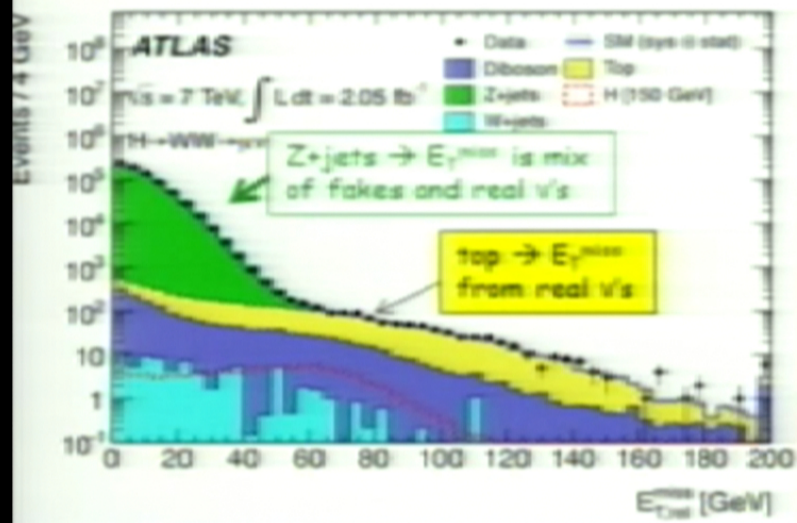
Crucial experimental aspects:

- understanding of E_T^{miss} (genuine and fake)
- excellent understanding of background in signal region \rightarrow use signal-free control regions in data to constrain MC \rightarrow use MC to extrapolate to the signal region

2.1 fb^{-1}

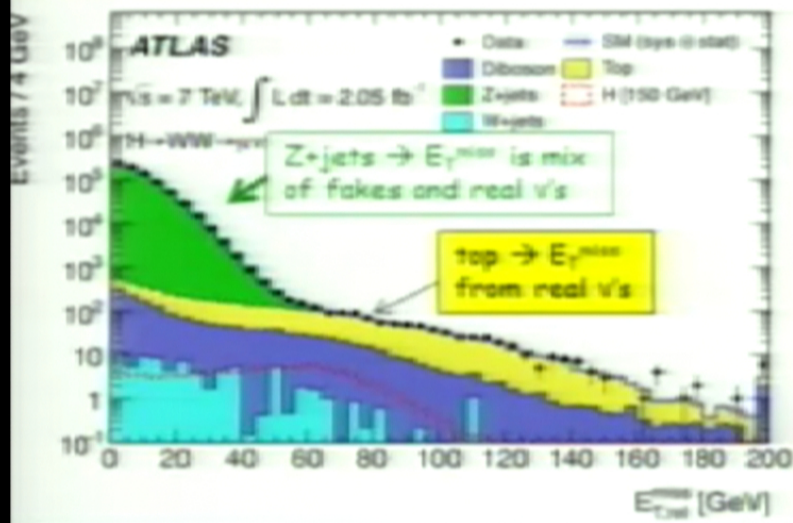
Control region	MC expectation	Observed in data
WW 0-jet	296 ± 36	296
WW 1-jet	171 ± 21	184
Top 1-jet	270 ± 69	249





E_T^{miss} spectrum in data for inclusive events with $\mu^+\mu^-$ pair well described (over 5 orders of magnitude) by the various background components. Dominated by real E_T^{miss} from ν 's starting at $E_T^{\text{miss}} \sim 50 \text{ GeV}$ \rightarrow little tails from detector effects

E_T^{miss} spectrum and resolution very sensitive to pile-up \rightarrow we will include Period-B data when understanding at similar level as Period A



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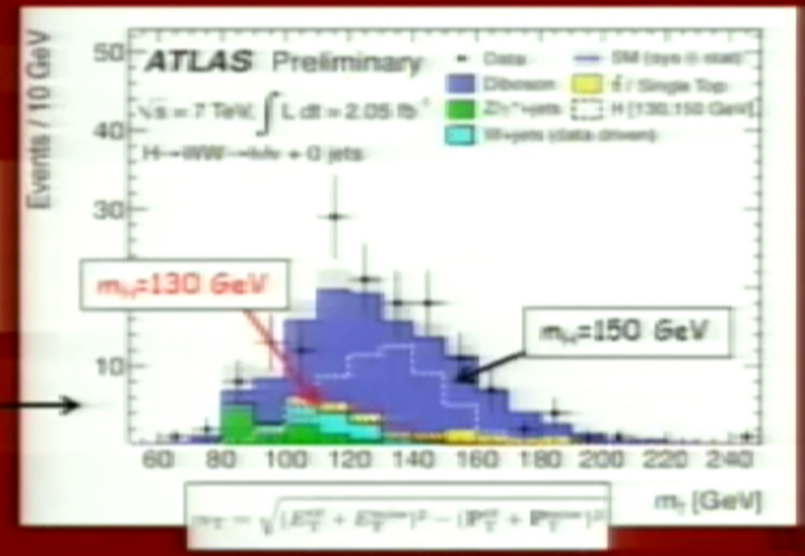
E_T^{miss} spectrum and resolution very sensitive to pile-up \rightarrow we will include Period-B data when understanding at similar level as Period A

21 fb⁻¹

After all cuts (selection for $m_{\mu\mu}=130$ GeV)

Observed in data	94 events 10 ee, 42 eμ, 42 μμ
Expected background	76 (±11)
Expected signal $m_{\mu\mu}=130$ GeV	19 (±4)

Transverse mass spectrum after all cuts (except M_T)

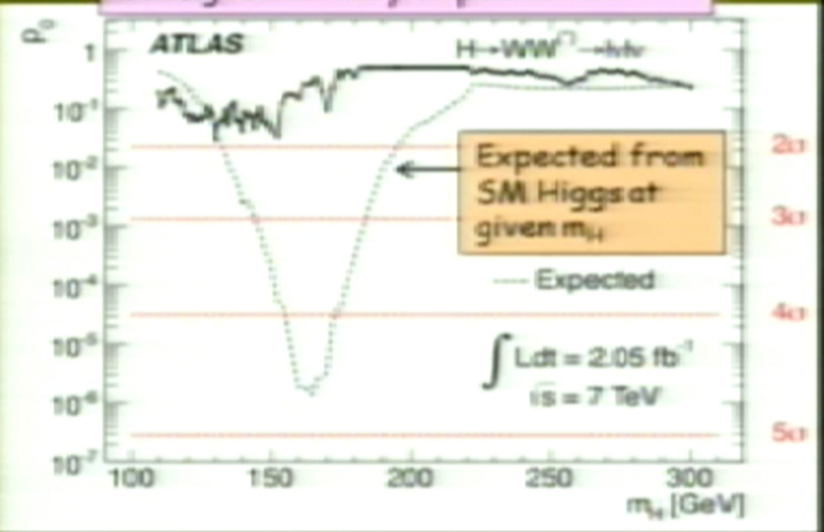
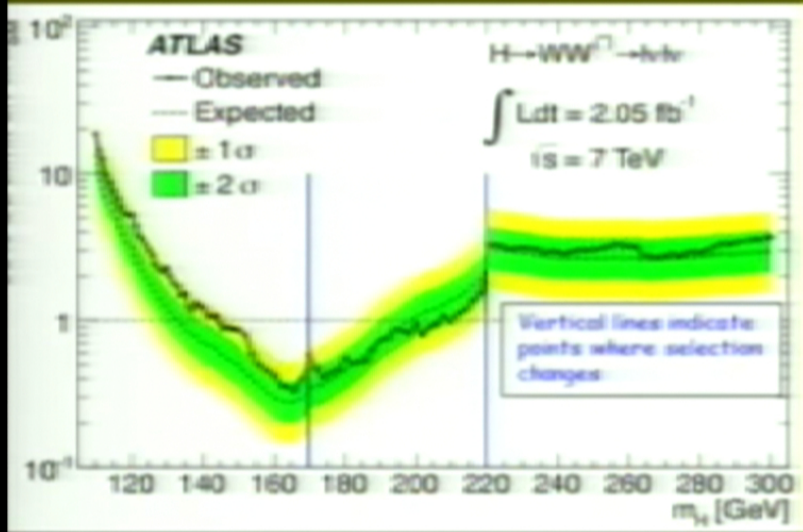


After all cuts (selection for $m_{H^0} = 130$ GeV)

2.1 fb⁻¹

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Expected background	76 (±11)
Expected signal $m_{H^0} = 130$ GeV	19 (±4)

Consistency of the data with the background-only expectation



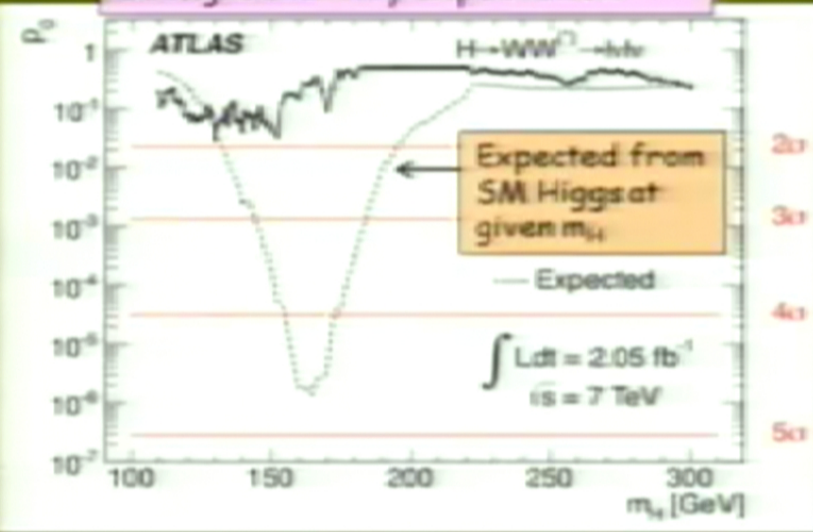
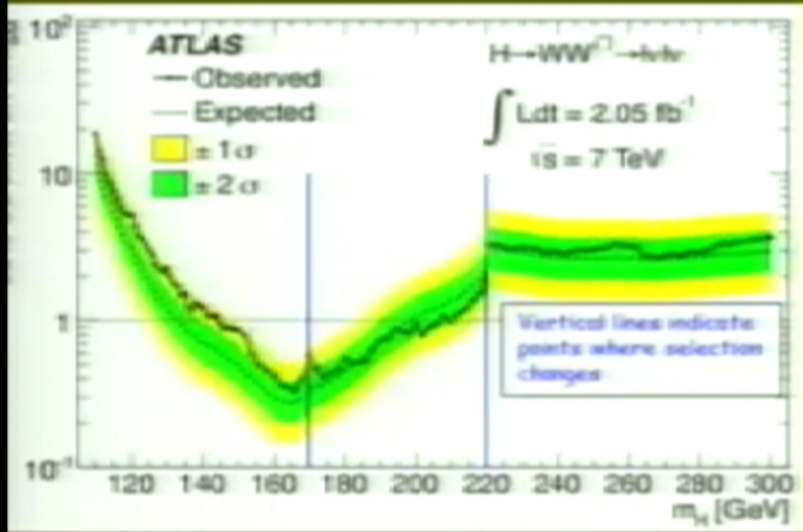
- ❑ Excluded (95% CL): $145 < m_{H^0} < 206$ GeV (expected: 134-200 GeV)
- ❑ Observed limit within 2σ of expected: max deviation 1.9σ for $m_{H^0} \sim 130$ GeV

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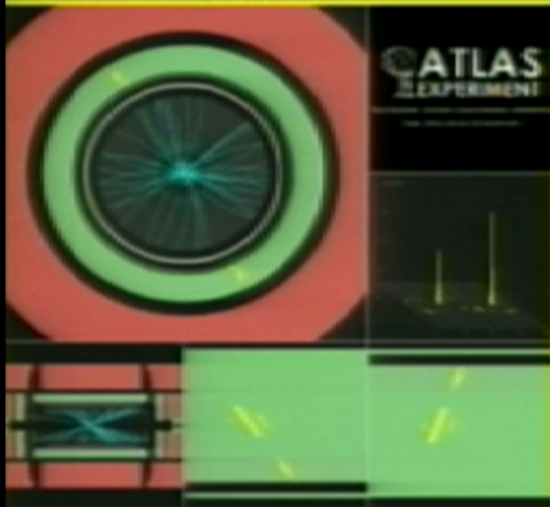
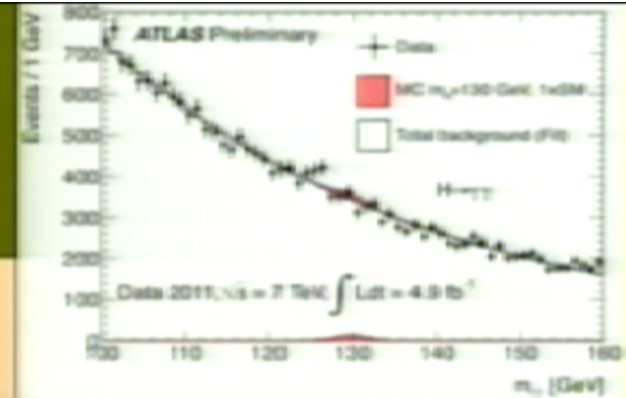


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$H \rightarrow \gamma\gamma$

$110 \leq m_{H} \leq 150 \text{ GeV}$

- Small cross-section: $\sigma \sim 40 \text{ fb}$
- Simple final state: two high- p_T isolated photons
 $E_T(\gamma_1, \gamma_2) > 40, 25 \text{ GeV}$
- Main background: $\gamma\gamma$ continuum (irreducible, smooth, ...)
- Events divided into 9 categories based on η -photon (e.g. central, rest, ...), converted/unconverted, $p_T^{\gamma\gamma}$ perpendicular to $\gamma\gamma$ thrust axis
- ~ 70 signal events expected in 4.9 fb^{-1} after all selections for $m_{H} = 125 \text{ GeV}$
- ~ 3000 background events in signal mass window $\rightarrow S/B \sim 0.02$

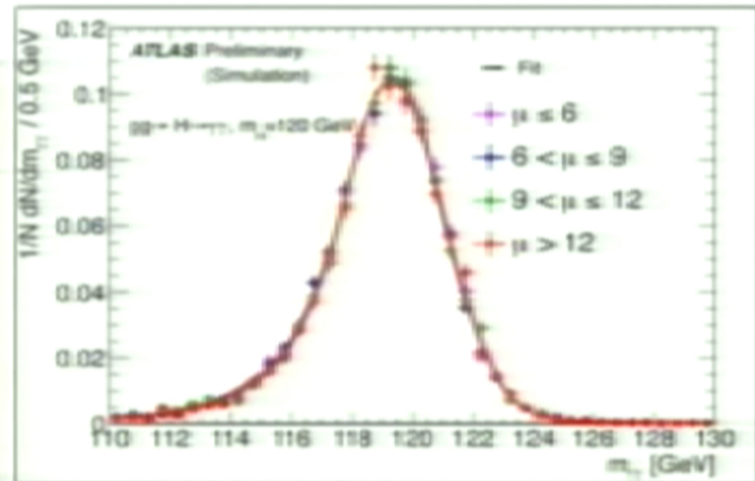


Crucial experimental aspects:

- excellent $\gamma\gamma$ mass resolution to observe narrow signal peak above irreducible background
- powerful γ /jet separation to suppress γj and jj background with jet $\rightarrow \pi^0$ faking single γ

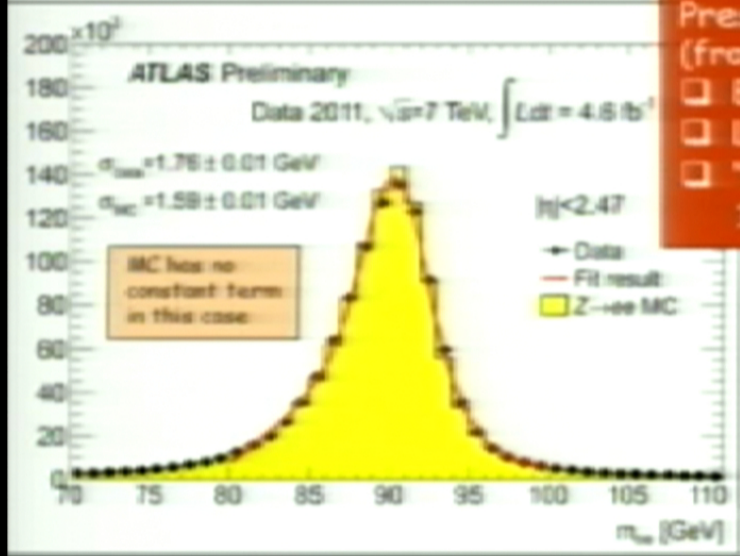
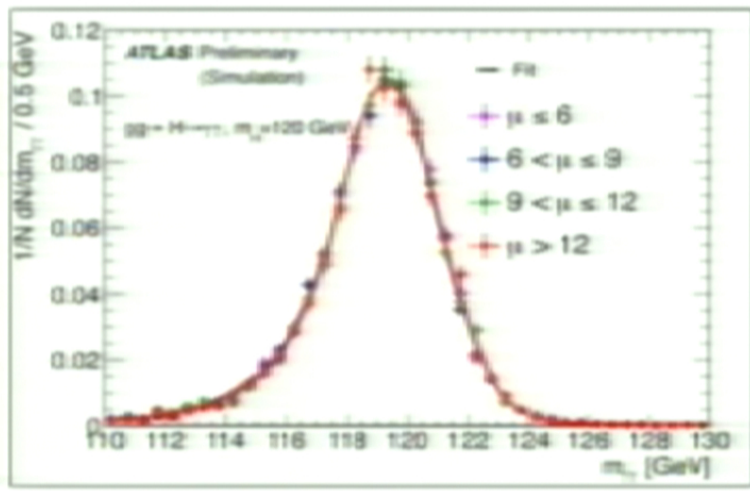
$$m_{\gamma\gamma}^2 = 2 E_1 E_2 (1 - \cos\alpha)$$

$m_H = 120 \text{ GeV}$	$\sigma (m_{\gamma\gamma})$ GeV	Event fraction in $\pm 1.4 \sigma (m_{\gamma\gamma})$
All	1.7	80 %
Best category (unconverted central)	1.4	84%
Worst category (~10%) ($\geq 1 \gamma$ converted, $\geq 1 \gamma$ near barrel/end-cap transition)	2.3	70%



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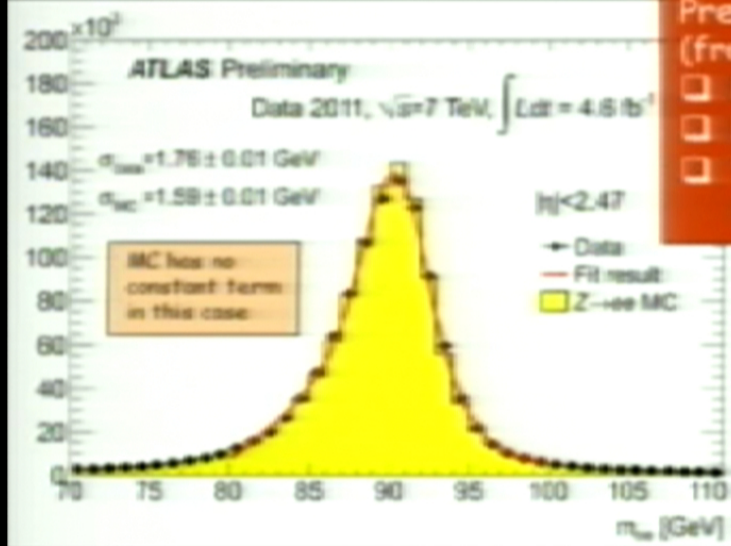
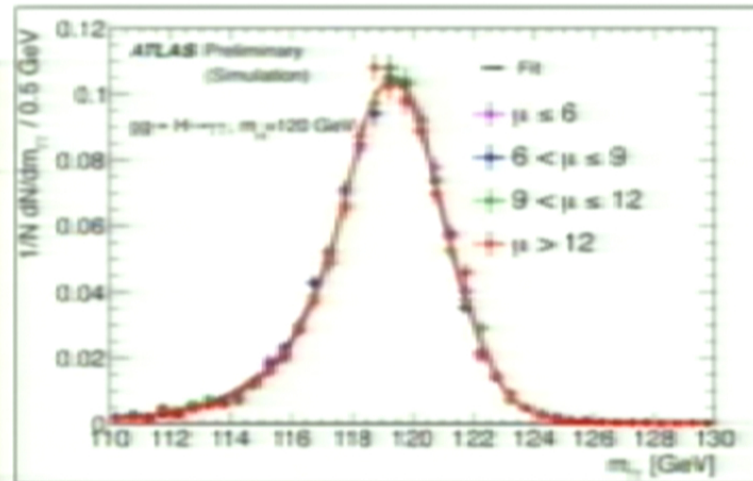
Present understanding of calorimeter E response
(from Z, J/ψ → ee, W → ev data and MC):

- Energy scale at m_Z known to ~ 0.5%
- Linearity better than 1% (over few GeV - few 100 GeV)
- "Uniformity" (constant term of resolution):
1% (barrel) - 1.7 % (end-cap)

Electron scale and resolution transported
to photons using MC
(systematics: few from material effects)

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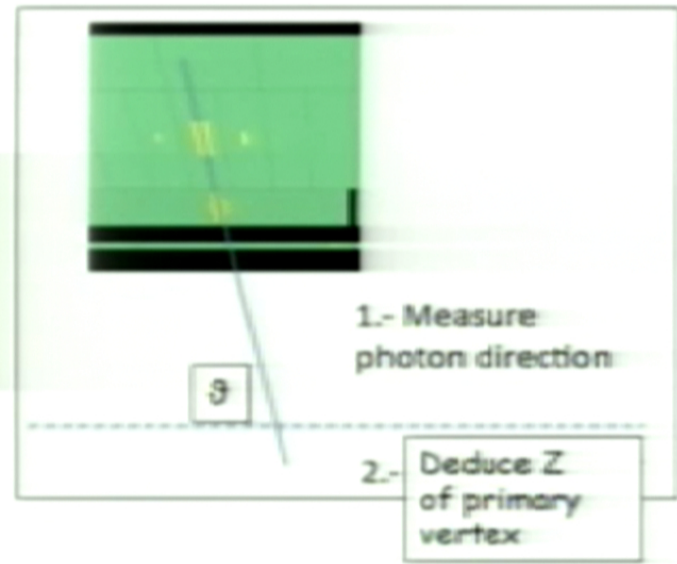
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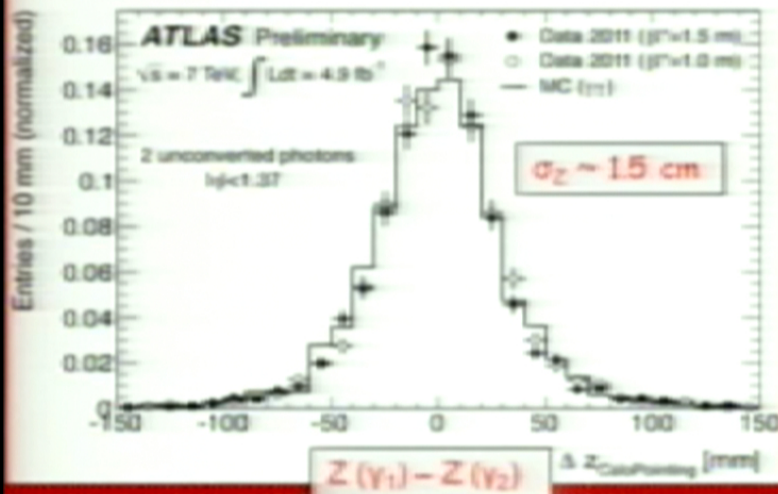
$$m_{\gamma\gamma}^2 = 2 E_1 E_2 (1 - \cos\alpha)$$

α = opening angle of the two photons

Use longitudinal (and lateral) segmentation of EM calorimeter to measure photon polar angle θ crucial at high pile-up: many vertices distributed over σ_z (LHC beam spot) ~ 5.6 cm \rightarrow difficult to know which one produced the $\gamma\gamma$ pair



Z-vertex as measured in $\gamma\gamma$ events after selection from calorimeter "pointing"

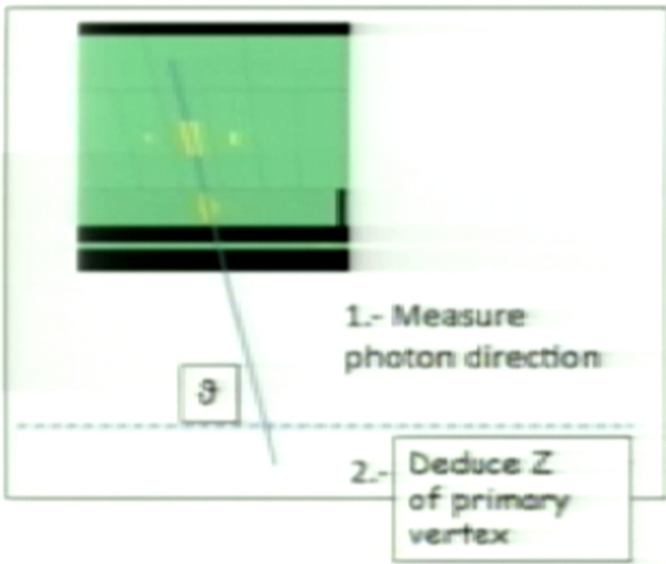


- ☐ Calorimeter pointing capability reduces vertex uncertainty from ~ 5.6 cm (LHC beam spot) to ~ 1.5 cm \rightarrow Contribution to mass resolution from angular term is negligible with calo pointing ($\gamma \rightarrow ee$ vertex also used)
- ☐ Robust against pile-up

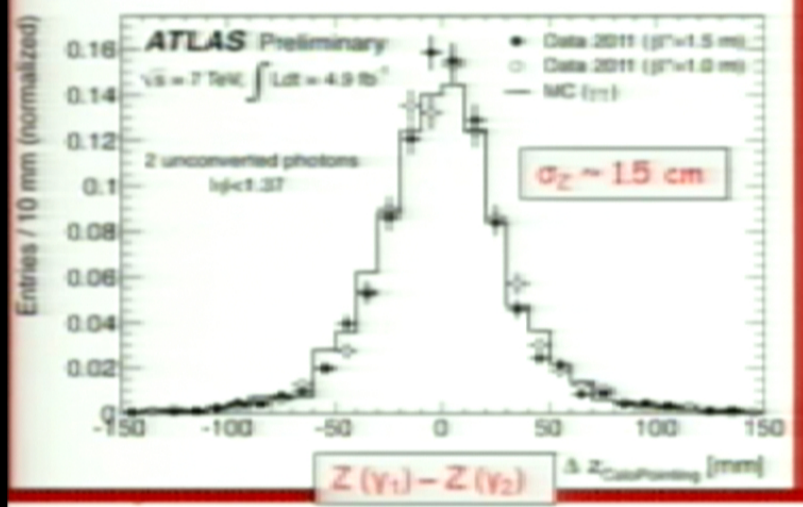
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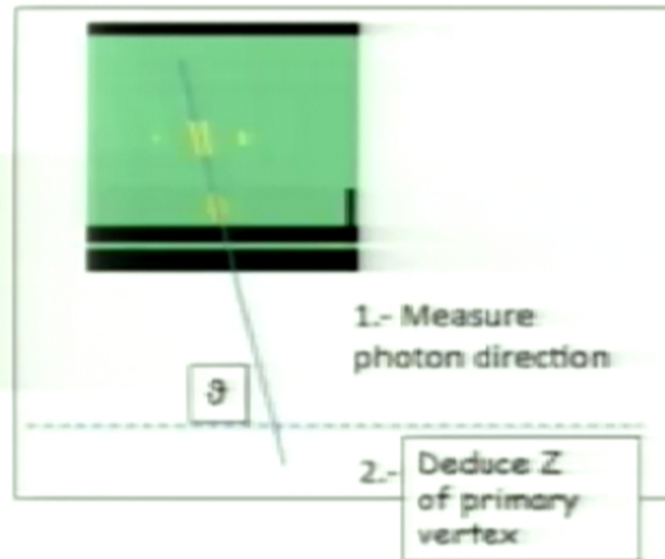


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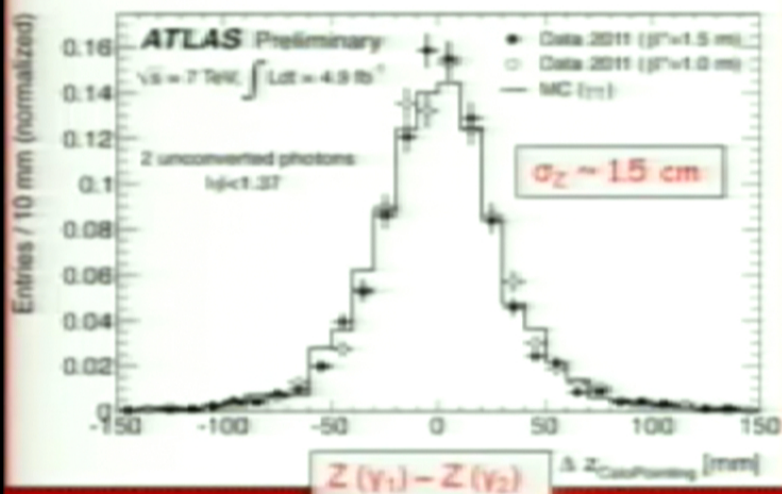
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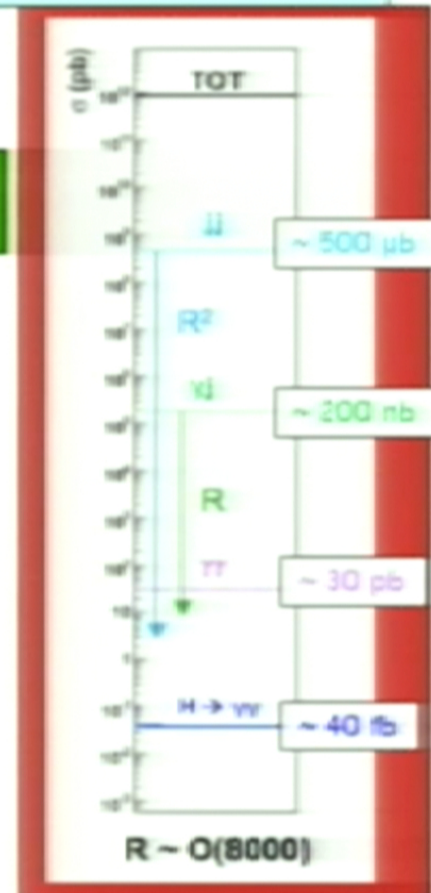
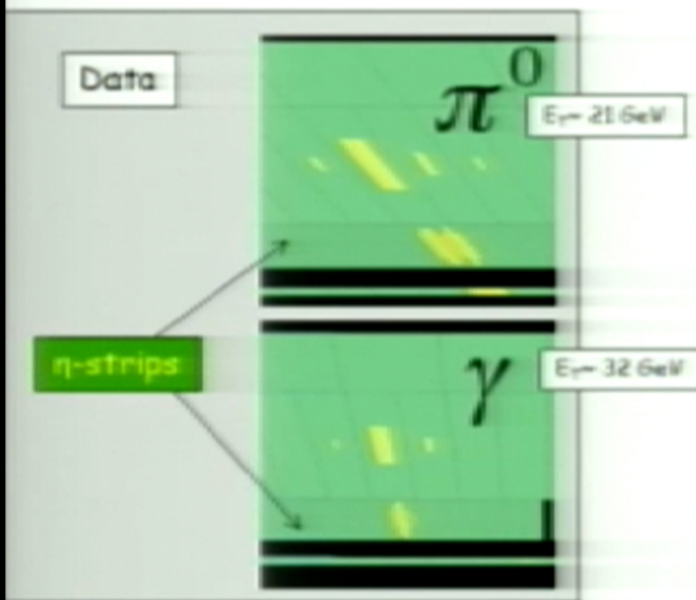


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potentially huge background from γj and jj production with jets fragmenting into a single hadron and π^0 and the π^0 faking single photon



Determined choice of fine lateral segmentation (4mm η -strips) of the first compartment of ATLAS EM calorimeter

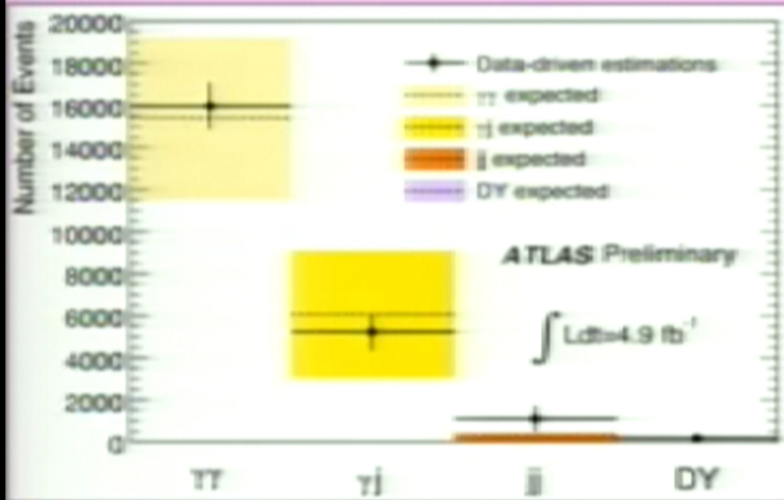


However: huge uncertainties on $\sigma(\gamma j, jj)$!! \rightarrow not obvious $\gamma j, jj$ could be suppressed well below irreducible $\gamma\gamma$ until we measured with data

ATLAS: Update of SM Higgs searches, 13/12/2011

After all cuts: 22489 events with $100 < m_{\gamma\gamma} < 160$ GeV observed in the data

Sample composition estimated from data using control samples



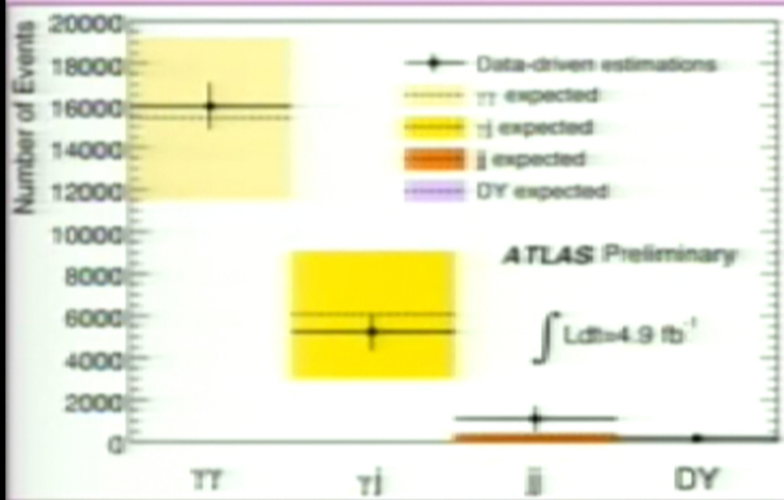
	Number of events	Fraction
$\gamma\gamma$	16000 ± 1120	$71 \pm 5 \%$
γj	5230 ± 890	$23 \pm 4 \%$
$j j$	1130 ± 600	$5 \pm 3 \%$
DY/Z	165 ± 8	$0.7 \pm 0.1 \%$

$\gamma j + j j \ll \gamma\gamma$ irreducible (purity $\sim 70\%$)

Photon identification efficiency: $\sim 85 \pm 5\%$ from MC, cross-checked with data
 ($Z \rightarrow ee, Z \rightarrow ee\gamma, \mu\mu\gamma$)

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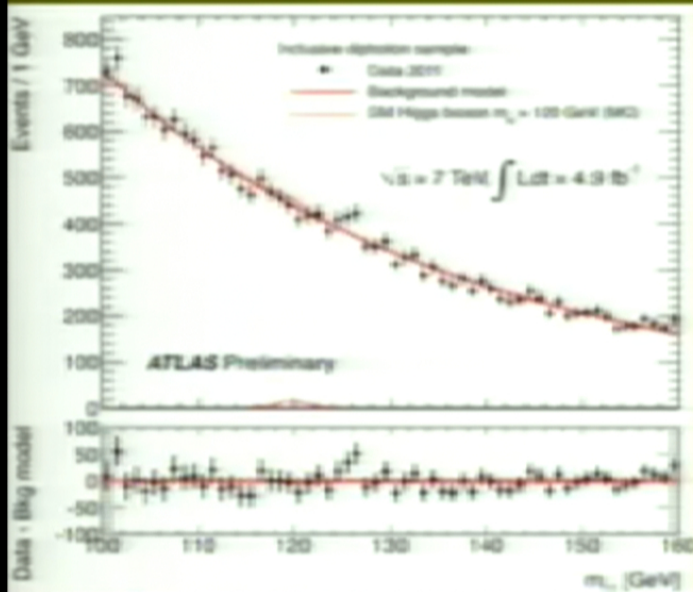
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 ($Z \rightarrow ee, Z \rightarrow ee\gamma, \mu\mu\gamma$)

After all selections: kinematic cuts, γ identification and isolation

- 22489 events with $100 < m_{\gamma\gamma} < 160$ GeV observed in the data
- expected signal efficiency: $\sim 35\%$ for $m_{H\gamma} = 125$ GeV



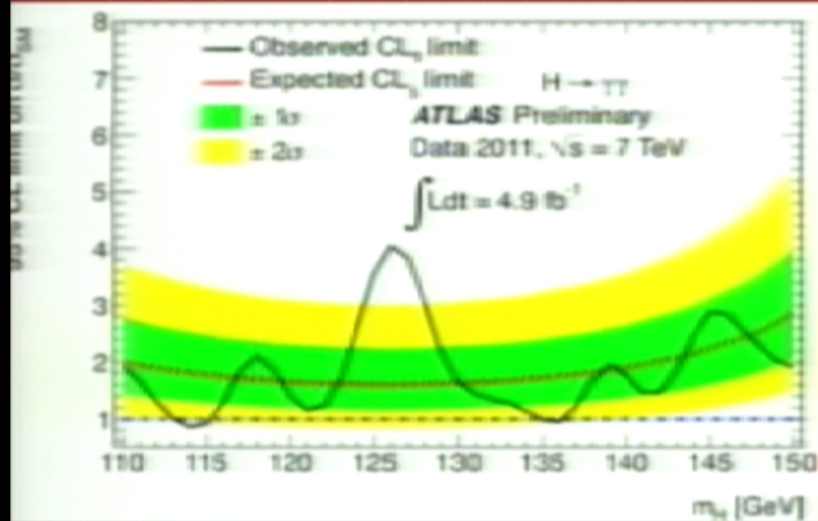
$m_{\gamma\gamma}$ spectrum fit with exponential function for background plus Crystal Ball + Gaussian for signal
 → background determined directly from data

Systematic uncertainties on signal expectation

Event yield	
Photon reconstruction and identification	$\pm 11\%$
Effect of pileup on photon identification	$\pm 4\%$
Isolation cut efficiency	$\pm 5\%$
Trigger efficiency	$\pm 1\%$
Higgs boson cross section	$+17\% / -11\%$
Higgs boson p_T modeling	$\pm 1\%$
Luminosity	$\pm 3.9\%$
Mass resolution	
Calorimeter energy resolution	$\pm 12\%$
Photon energy calibration	$\pm 6\%$
Effect of pileup on energy resolution	$\pm 3\%$
Photon angular resolution	$\pm 1\%$
Migration	
Higgs boson p_T modeling	$\pm 8\%$
Conversion reconstruction	$\pm 4.5\%$

Main systematic uncertainties

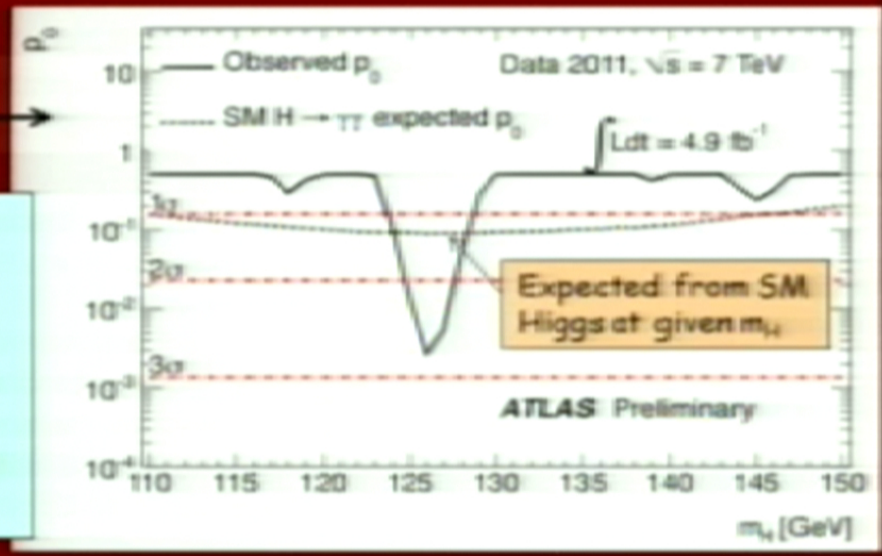
- Expected signal yield : $\sim 20\%$
- $H \rightarrow \gamma\gamma$ mass resolution : $\sim 14\%$
- $H \rightarrow \gamma\gamma$ p_T modeling : $\sim 8\%$
- Background modeling : $\pm 0.1-5.6$ events



Excluded (95% CL):
 $114 \leq m_{H} \leq 115 \text{ GeV}$, $135 \leq m_{H} \leq 136 \text{ GeV}$

Consistency of the data with the background-only expectation

Maximum deviation from background-only expectation observed for $m_{H} \sim 126 \text{ GeV}$:
 local p_0 -value: 0.27% or 2.8σ
 expected from SM Higgs: $\sim 1.4\sigma$ local
 global p_0 -value: includes probability for such an excess to appear anywhere in the investigated mass range (110-150 GeV) ("Look-Elsewhere-Effect"): $\sim 7\%$ (1.5σ)



$H \rightarrow ZZ^{(*)} \rightarrow 4l$ (4e, 4 μ , 2e2 μ)

$110 < m_{H} < 600$ GeV

- $\sigma \sim 2-5$ fb
- However:
 - mass can be fully reconstructed \rightarrow events would cluster in a (narrow) peak
 - pure: S/B ~ 1
- 4 leptons: $p_T^{1,2,3,4} > 20, 20, 7, 7$ GeV; $m_{12} = m_Z \pm 15$ GeV; $m_{34} > 15-60$ GeV (depending on m_{H})
- Main backgrounds:
 - $ZZ^{(*)}$ (irreducible)
 - $m_{H} < 2m_Z$: Zbb, Z+jets, tt with two leptons from b/q-jets \rightarrow l
- \rightarrow Suppressed with isolation and impact parameter cuts on two softest leptons
- Signal acceptance \times efficiency: $\sim 15\%$ for $m_{H} \sim 125$ GeV

crucial experimental aspects:

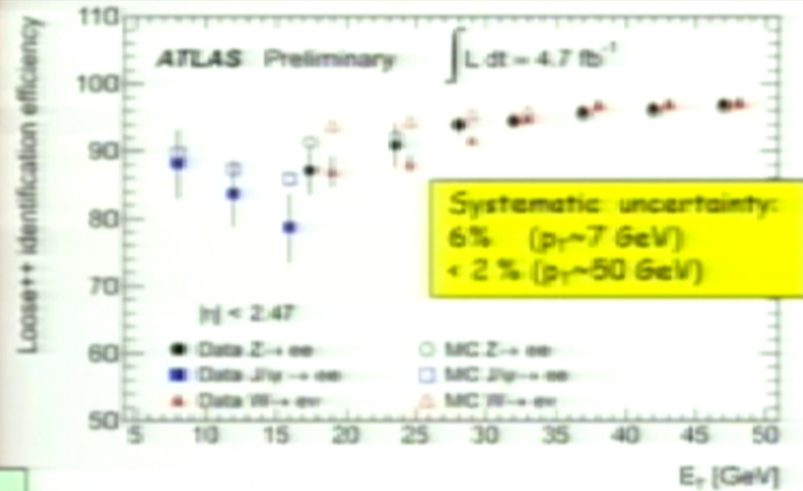
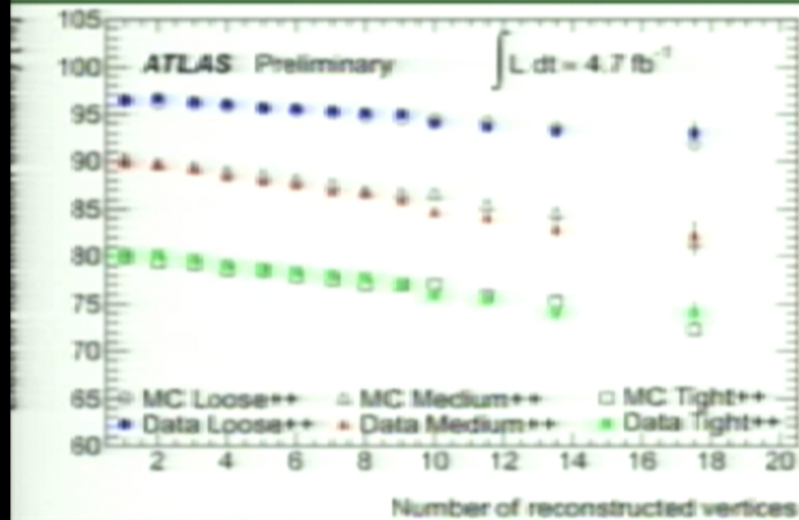
- High lepton reconstruction and identification efficiency down to lowest p_T
- Good lepton energy/momentum resolution
- Good control of reducible backgrounds (Zbb, Z+jets, tt) in low-mass region:
 - \rightarrow cannot rely on MC alone (theoretical uncertainties, b/q-jet \rightarrow l modeling, ...)
 - \rightarrow need to compare MC to data in background-enriched control regions (but: low statistics ...)
- Conservative/stringent p_T and $m(l\bar{l})$ cuts used at this stage

Identification efficiency from $J/\psi \rightarrow ee, W \rightarrow ev, Z \rightarrow ee$ data samples

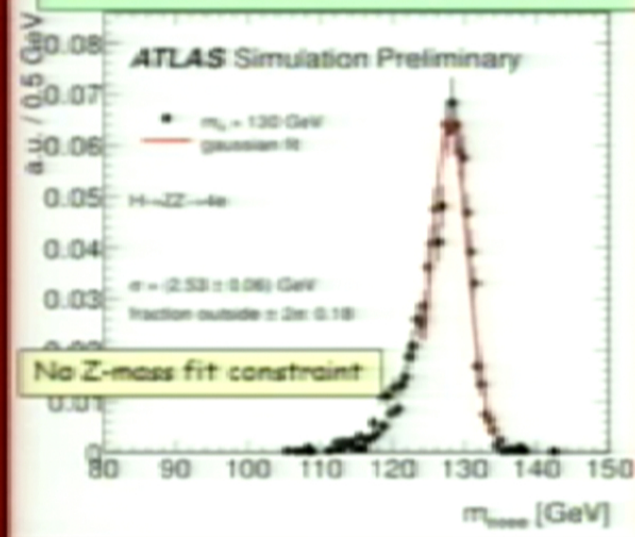
Crucial to understand low- p_T electrons (affected by material) with data

Electron performance

Variation of electron efficiency with pile-up (cuts not re-tuned yet) well modeled by simulation: from $Z \rightarrow ee$ data and MC samples



$H \rightarrow 4e$ mass resolution: 2.5 GeV
Event fraction in $\pm 2\sigma$: ~ 82%



After all selections: kinematic cuts, isolation, impact parameter

Full mass range

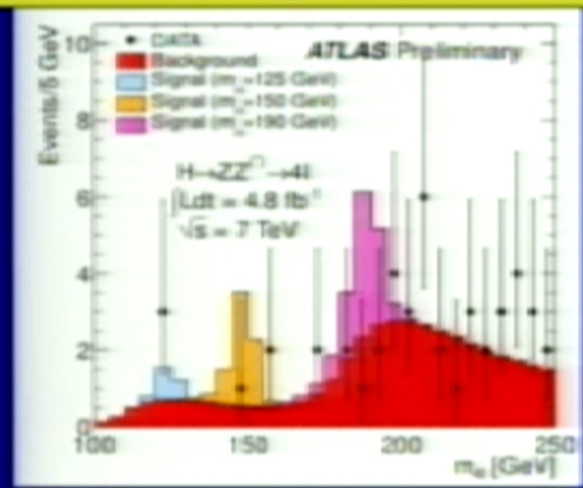
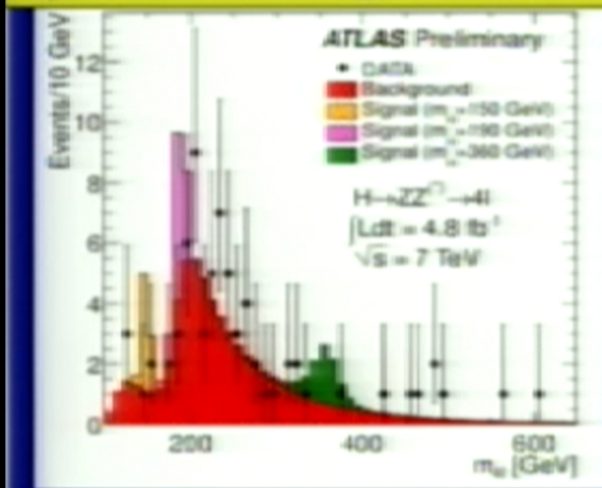
Observed: 71 events: 24 4μ + 30 $2e2\mu$ + 17 $4e$

Expected from background: 62 ± 9

$m(4l) < 180$ GeV

Observed: 8 events: 3 4μ + 3 $2e2\mu$ + 2 $4e$

Expected from background: 9.3 ± 1.5



In the region $m_{4l} < 141$ GeV (not already excluded at 95% C.L.) 3 events are observed: two $2e2\mu$ events ($m=123.6$ GeV, $m=124.3$ GeV) and one 4μ event ($m=124.6$ GeV)

In the region $117 < m_{4l} < 128$ GeV

(containing $\sim 90\%$ of a $m_H = 125$ GeV signal):

- similar contributions expected from signal and background: ~ 1.5 events each
- $S/B \sim 2$ (4μ), ~ 1 ($2e2\mu$), ~ 0.3 ($4e$)
- Background dominated by ZZ^* (4μ and $2e2\mu$), ZZ^* and Z +jets ($4e$)

Main systematic uncertainties

Higgs cross-section	: $\sim 15\%$
Electron efficiency	: $\sim 2-8\%$
ZZ^* background	: $\sim 15\%$
$Zbb, +jets$ backgrounds	: $\sim 40\%$

26

After all selections: kinematic cuts, isolation, impact parameter

Full mass range

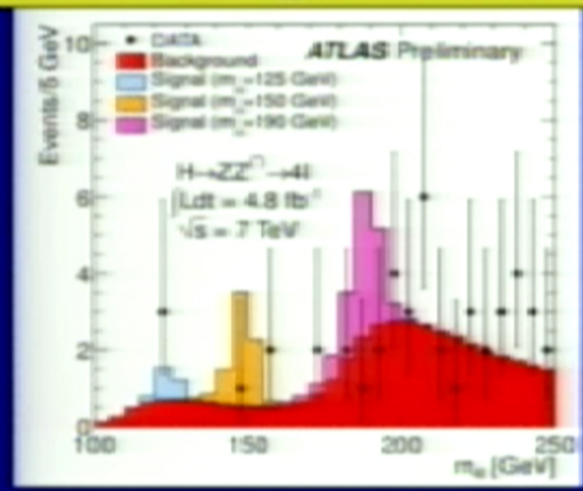
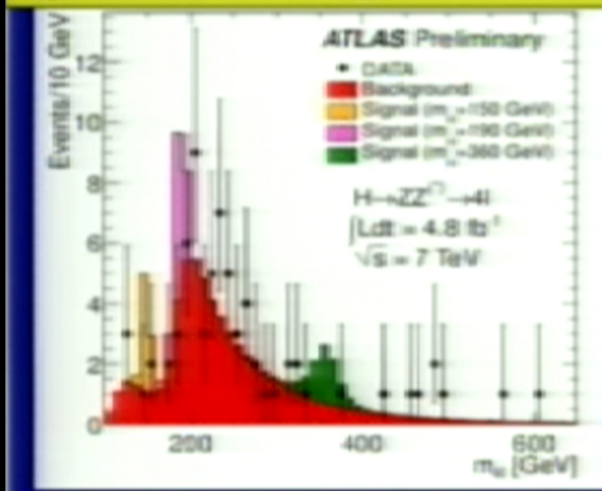
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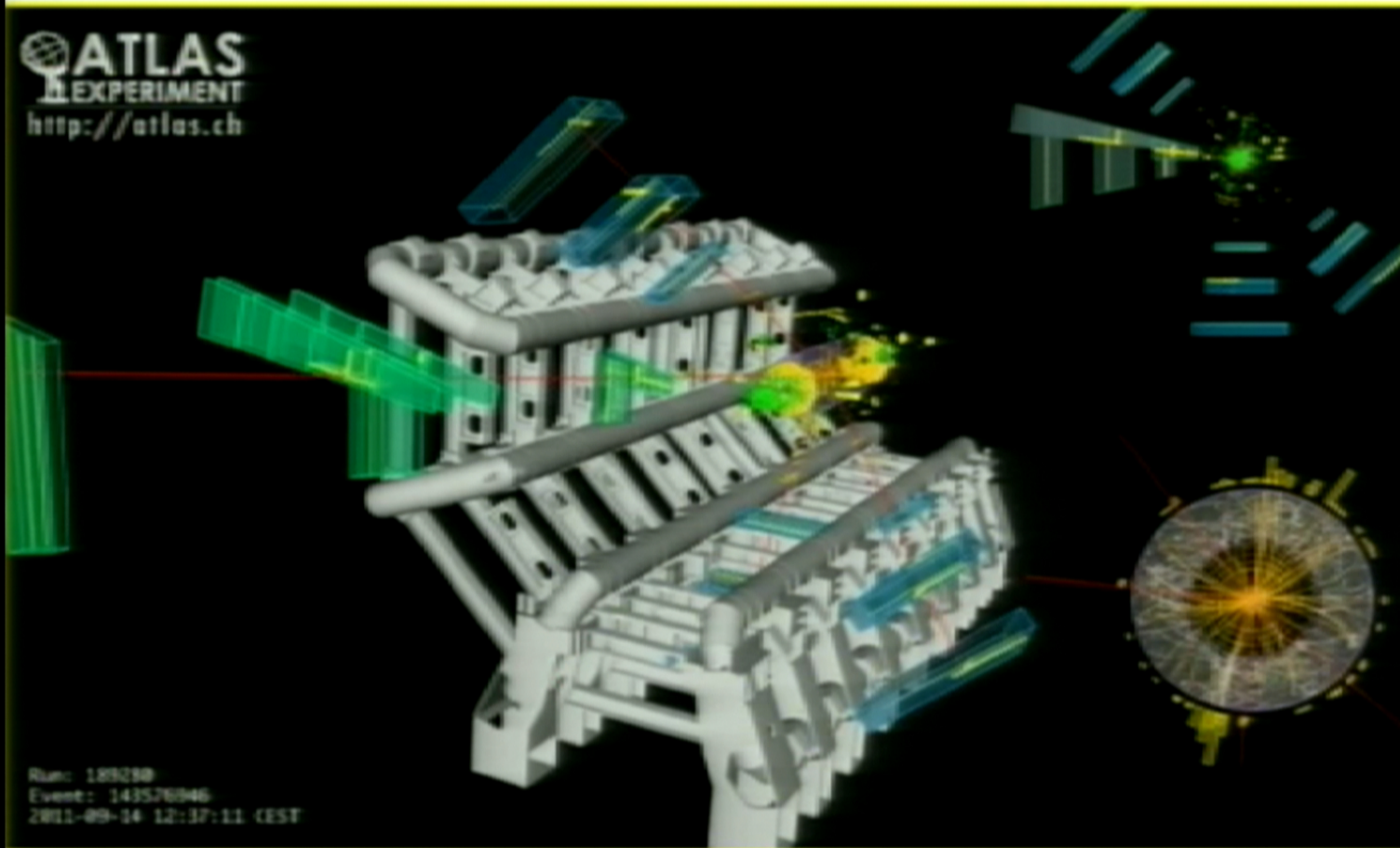
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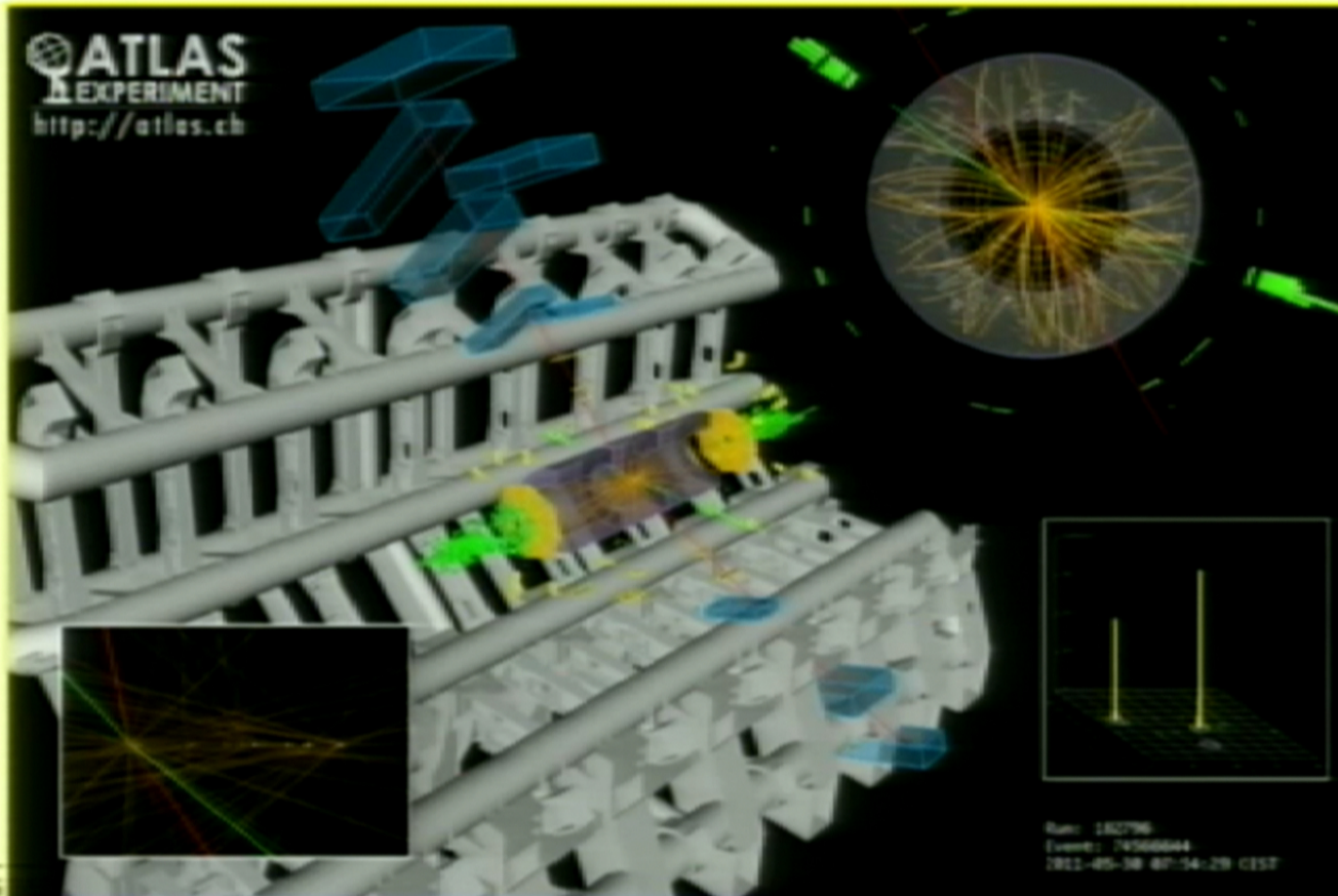
4 μ candidate with $m_{4\mu} = 124.6$ GeV

$p_T(\mu^+, \mu^-, \mu^-, \mu^+) = 61.2, 33.1, 17.8, 11.6$ GeV
 $m_{12} = 89.7$ GeV, $m_{34} = 24.6$ GeV



$2e2\mu$ candidate with $m_{2e2\mu} = 124.3 \text{ GeV}$

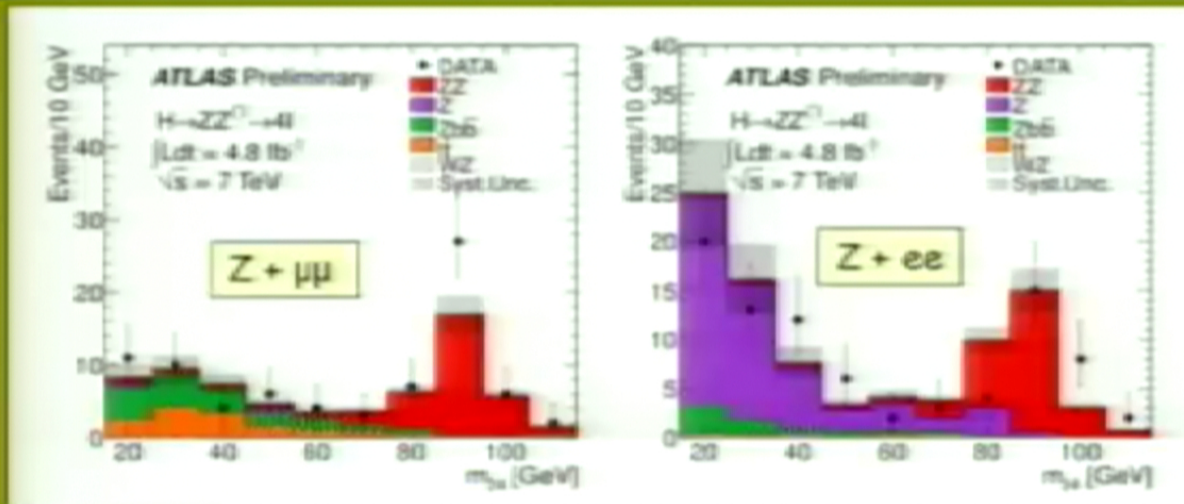
$p_T(e^-, e^-, \mu^-, \mu^-) = 41.5, 26.5, 24.7, 18.3 \text{ GeV}$
 $m(e^+e^-) = 76.8 \text{ GeV}, m(\mu^+\mu^-) = 45.7 \text{ GeV}$



Reducible backgrounds from Zbb , Z +jets, tt giving 2 genuine + 2 fake leptons measured using background-enriched-signal-depleted control regions in data mimicking as much as possible the kinematics of the signal region \rightarrow compromise between statistics and "purity"

$Zbb+Z$ +jets control regions: events with:

- 2 opposite-sign same-flavour leptons, $m_{ll} = m_Z \pm 15$ GeV
- 2 additional same-flavour leptons passing all cuts but isolation and impact parameter \rightarrow below plots of their invariant mass (m_{34})

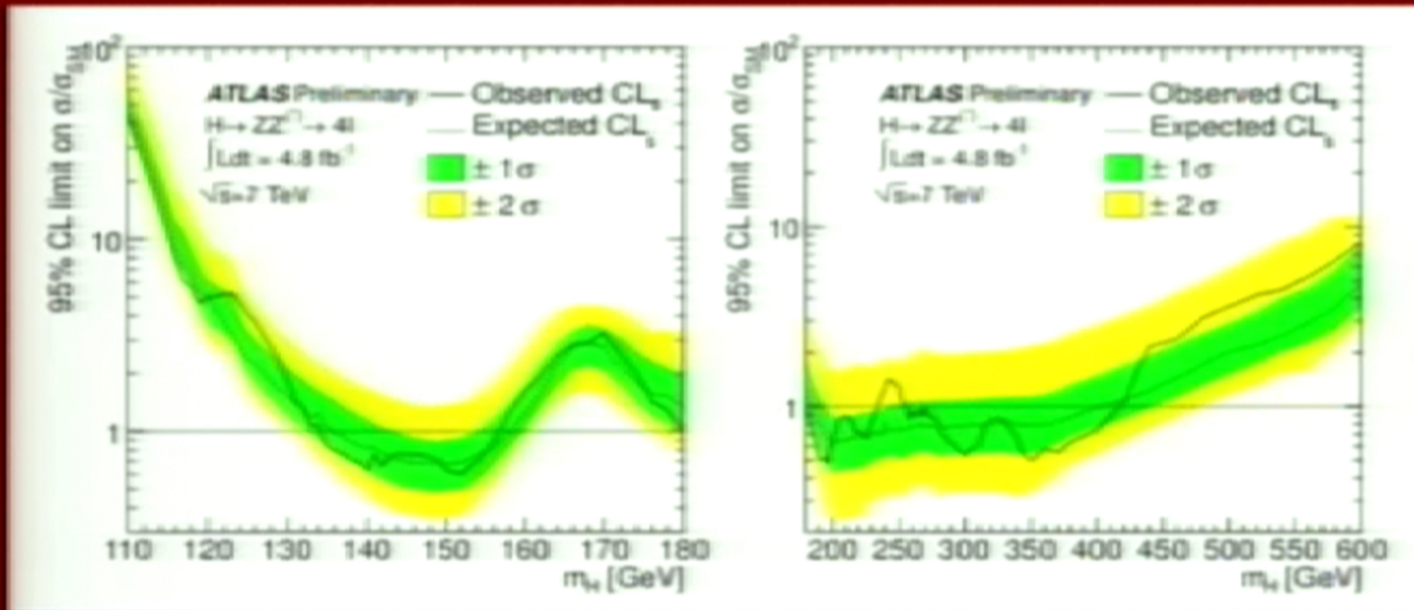


- Low-mass regions dominated by Zbb ($Z+\mu\mu$ sample) and Z +jet ($Z+ee$ sample)
- Data well reproduced by MC (within uncertainties)
- Samples of $Z+\mu$ and $Z+e$ then used to compare efficiencies of isolation and impact parameter cuts between data and MC \rightarrow Good agreement

	Data	MC
$Z+\mu$	$20 \pm 1\%$	$20.3 \pm 0.4\%$
$Z+e$	$29.9 \pm 0.6\%$	$30.4 \pm 0.4\%$

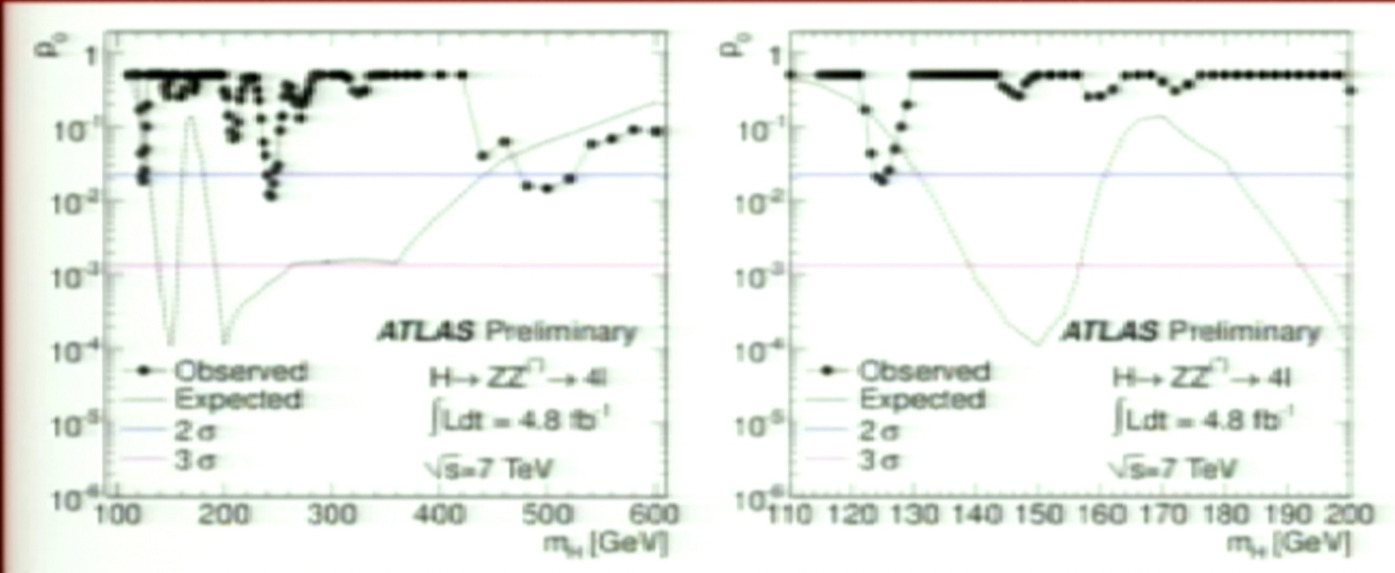
\rightarrow MC used to estimate background contamination in signal region

From fit of signal and background expectations to 4l mass spectrum



Excluded (95% CL): $135 < m_H < 156 \text{ GeV}$ and $181 < m_H < 415 \text{ GeV}$ (except 234-255 GeV)
 Expected (95% CL): $137 < m_H < 158 \text{ GeV}$ and $185 < m_H < 400 \text{ GeV}$

Consistency of the data with the background-only expectation



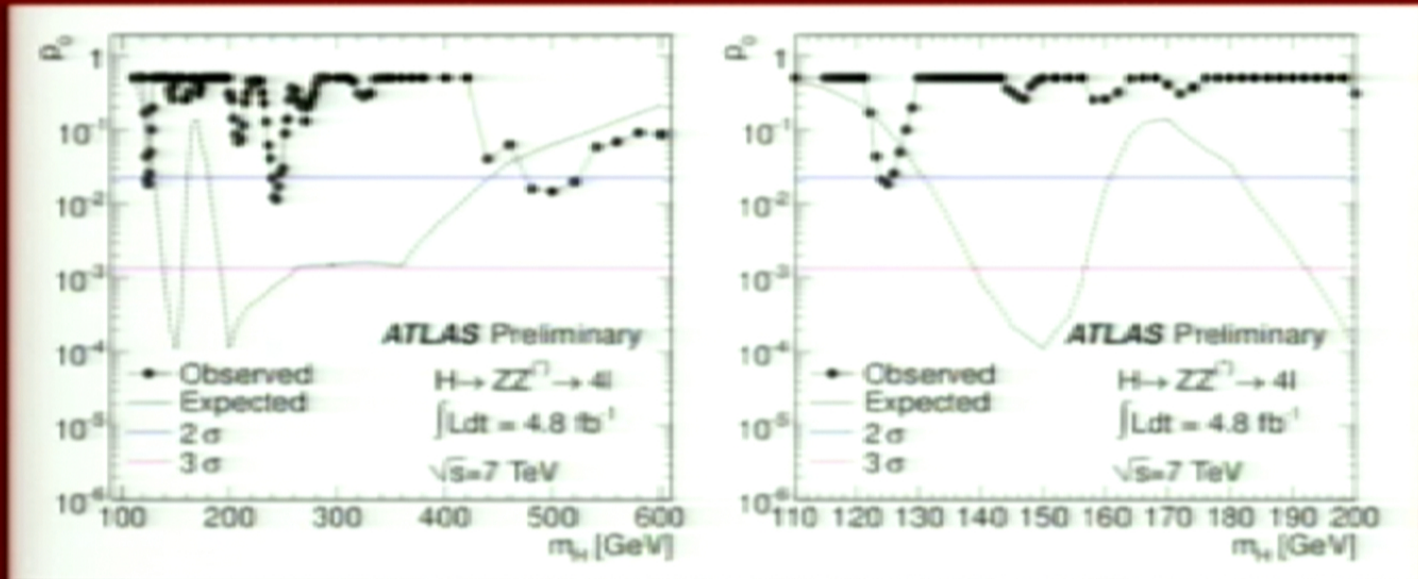
Maximum deviations from background-only expectations

Excluded at 95% CL by ATLAS+CMS combination

m_{H^\pm} (GeV)	Local (global) p_0	Local significance	Expected from SM Higgs
125	1.8% (~50%)	2.1 σ	1.4 σ
244	1.1% (~50%)	2.3 σ	3.2 σ
500	1.4% (~50%)	2.2 σ	1.5 σ

LEE estimated over mass range: 110-600 GeV

Consistency of the data with the background-only expectation



Maximum deviations from background-only expectations

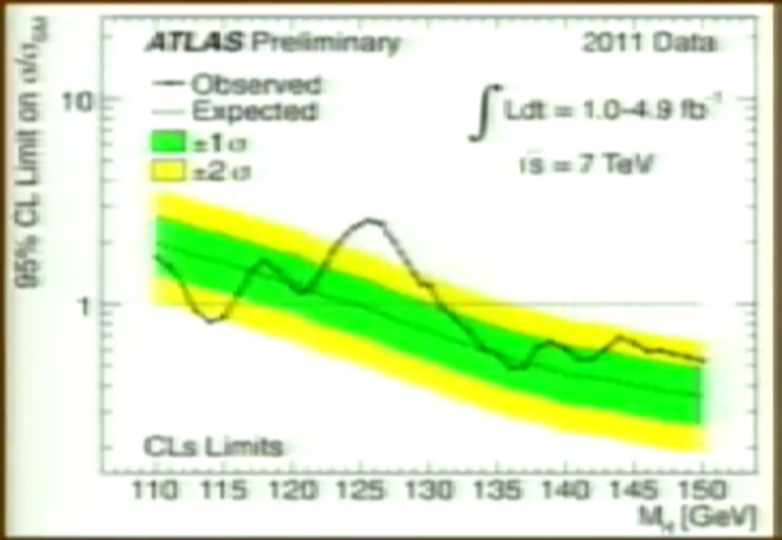
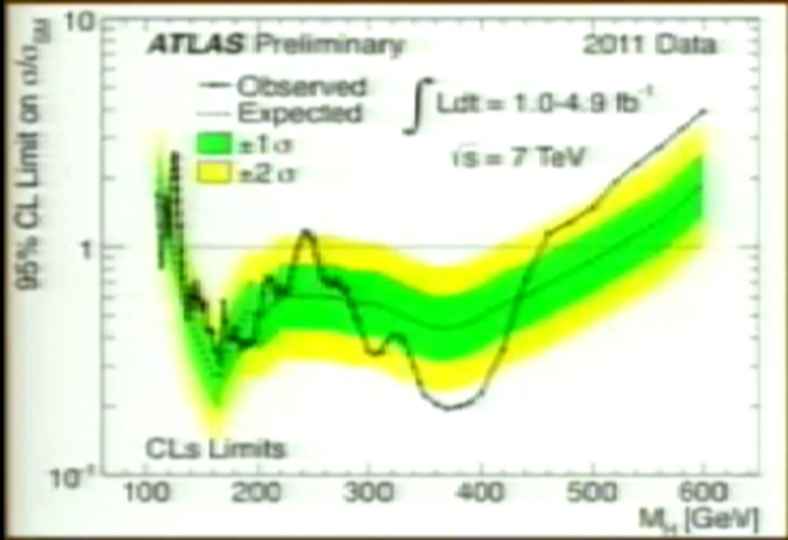
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mass range: 110-600 GeV

Putting all channels together → combined constraints

$H \rightarrow \gamma\gamma, H \rightarrow \tau\tau$
 $H \rightarrow WW^{(*)} \rightarrow l\nu l\nu$
 $H \rightarrow ZZ^{(*)} \rightarrow 4l, H \rightarrow ZZ \rightarrow ll\nu\nu$
 $H \rightarrow ZZ \rightarrow llqq, H \rightarrow WW \rightarrow l\nu qq$
 $W/ZH \rightarrow lbb + X$ not included



Excluded at 95% CL

$112.7 < m_H < 115.5 \text{ GeV}$
 $131 < m_H < 453 \text{ GeV, except } 237-251 \text{ GeV}$

Expected if no signal

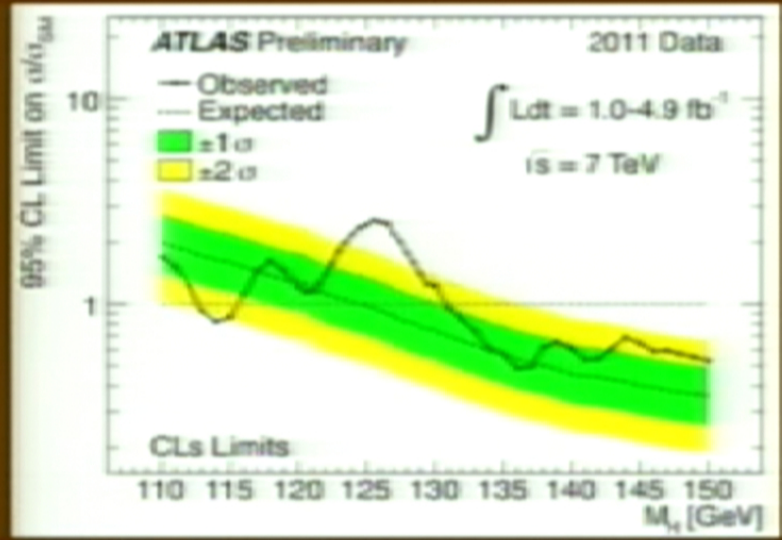
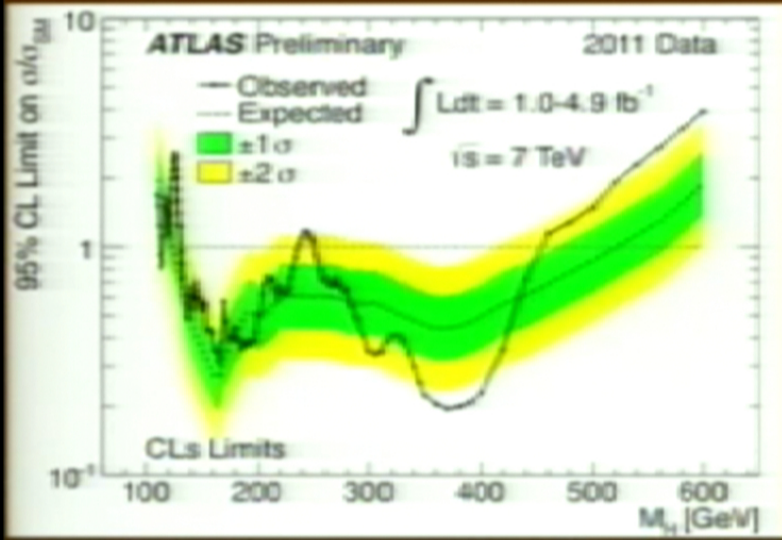
$124.6-520 \text{ GeV}$

Excluded at 99% CL

$133 < m_H < 230 \text{ GeV, } 260 < m_H < 437 \text{ GeV}$

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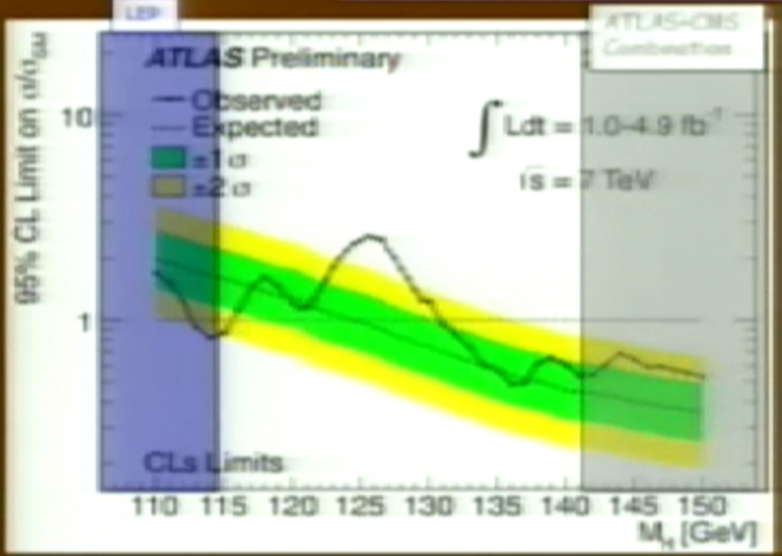
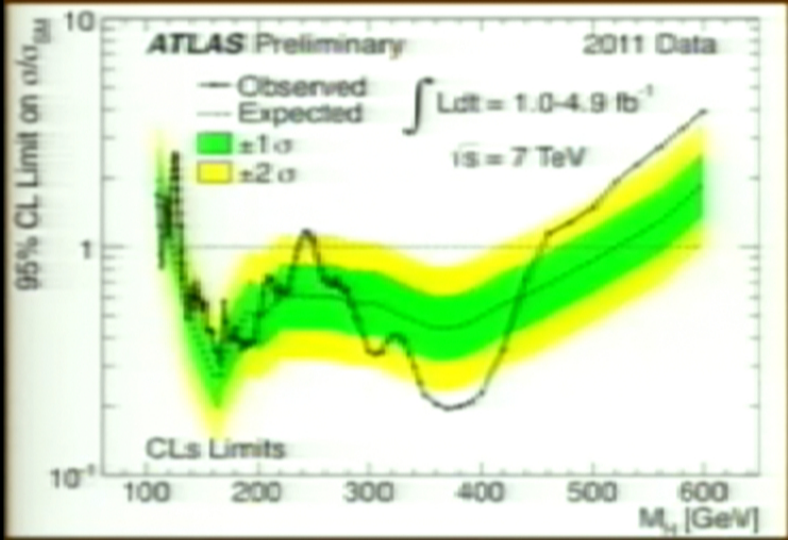
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Putting all channels together → combined constraints

- H → γγ, H → ττ
- H → WW → lνlν
- H → ZZ → 4l, H → ZZ → llνν
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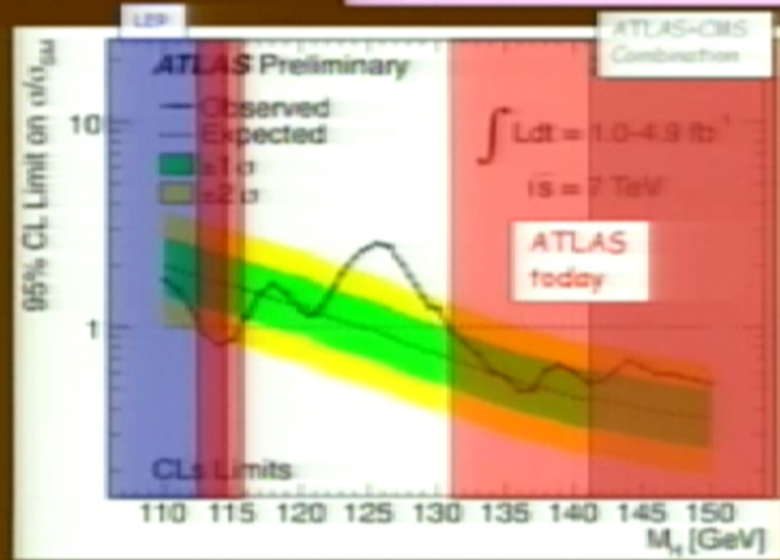
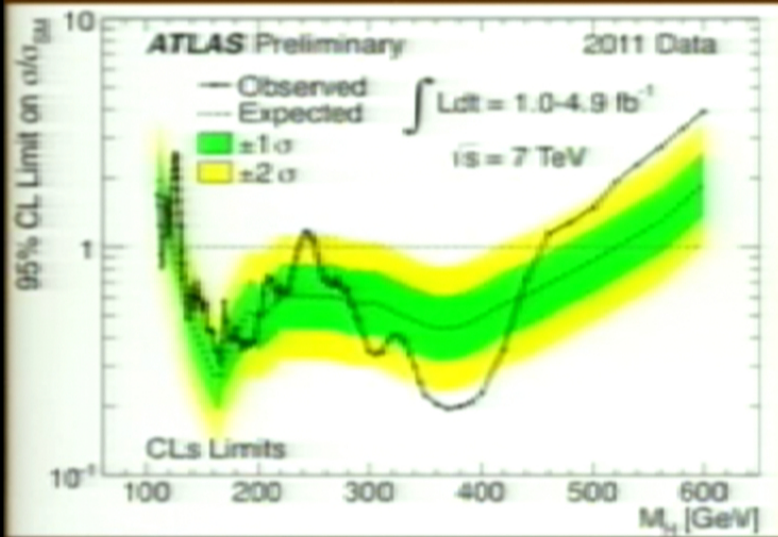
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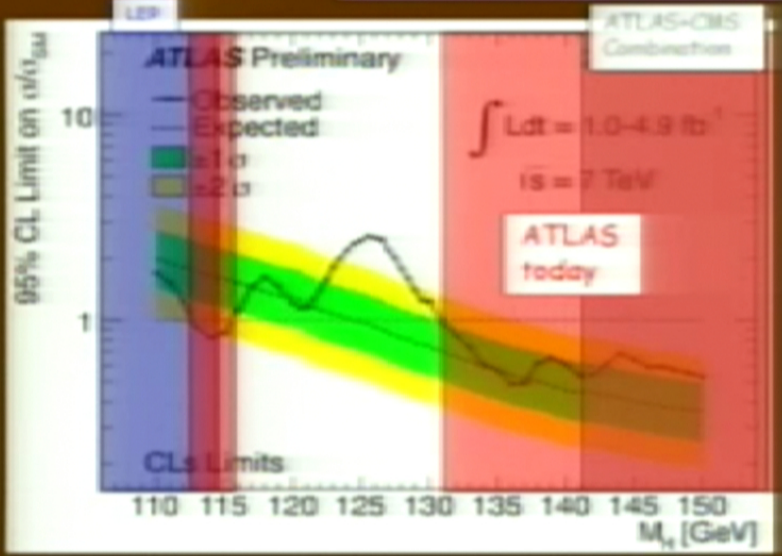
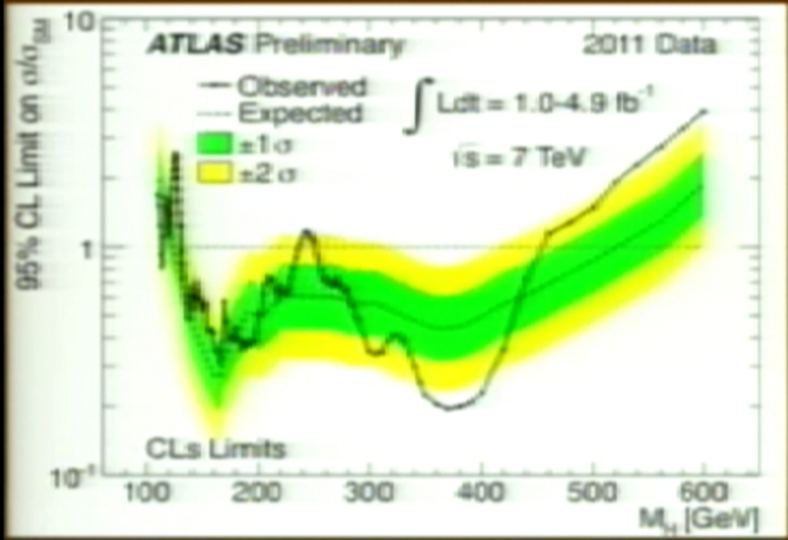
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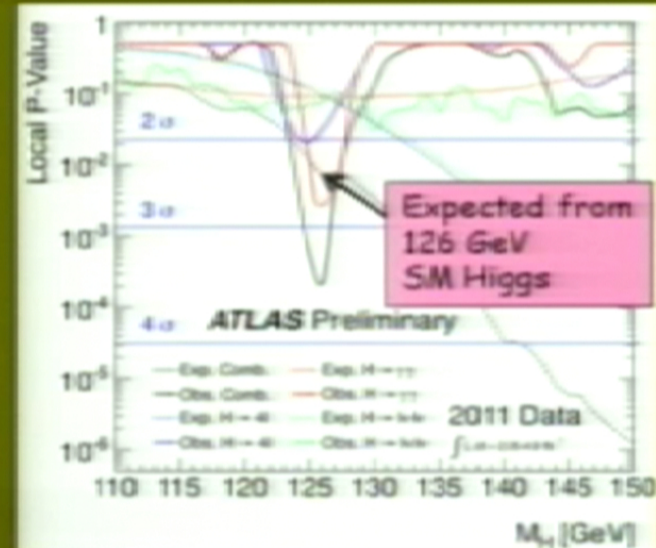
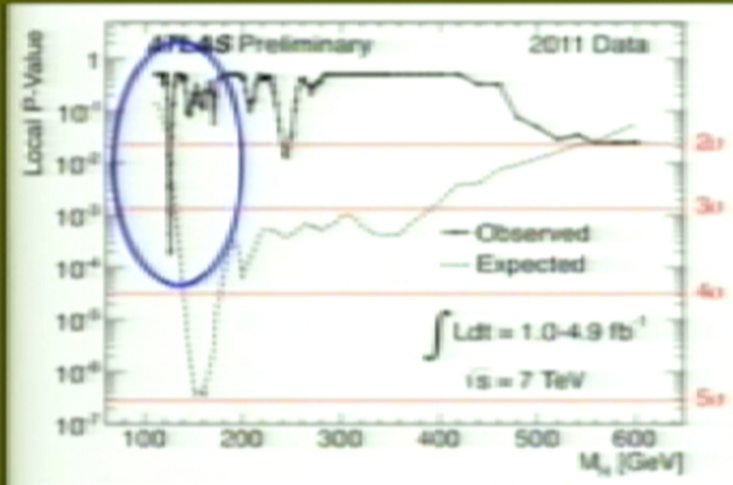
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Consistency of the data with the background-only expectation



Maximum deviation from background-only expectation observed for $m_H \sim 126 \text{ GeV}$

Local p_0 -value: $1.9 \cdot 10^{-4}$

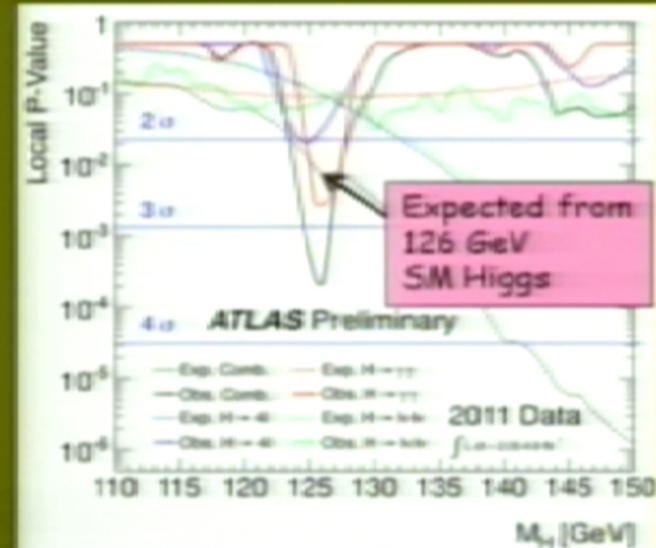
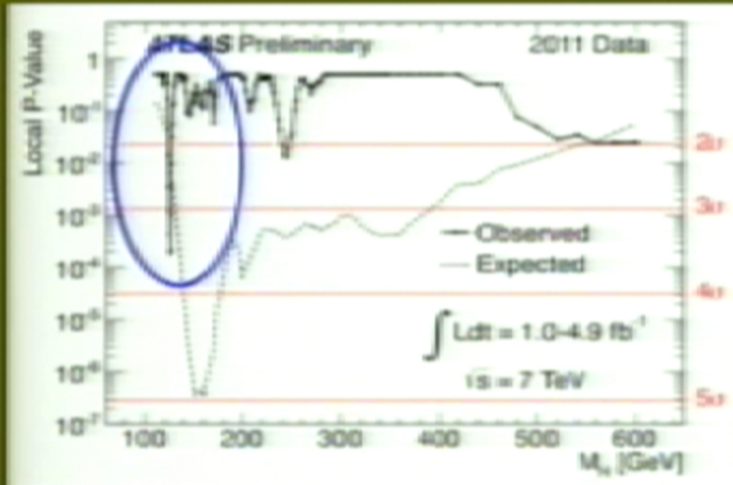
→ local significance of the excess: 3.6σ
 ~ 2.8σ $H \rightarrow \gamma\gamma$, 2.1σ $H \rightarrow 4l$, 1.4σ $H \rightarrow \tau\tau$

Expected from SM Higgs: $\sim 2.4\sigma$ local ($\sim 1.4\sigma$ per channel)

Global p_0 -value: 0.6% → 2.5σ LEE over 110-146 GeV

Global p_0 -value: 1.4% → 2.2σ LEE over 110-600 GeV

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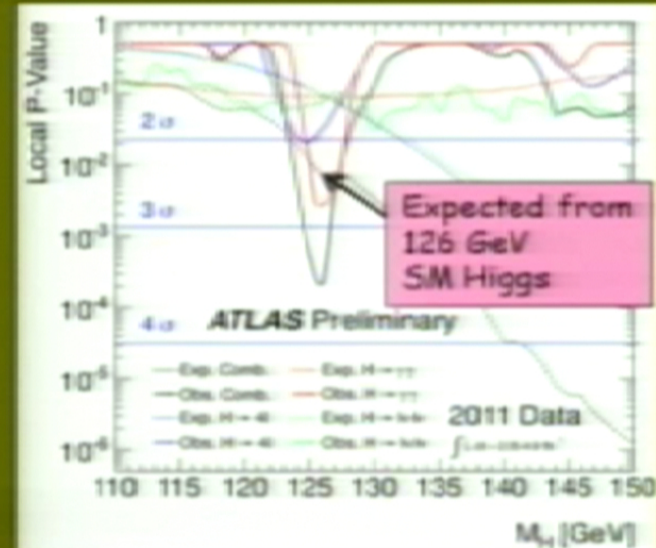
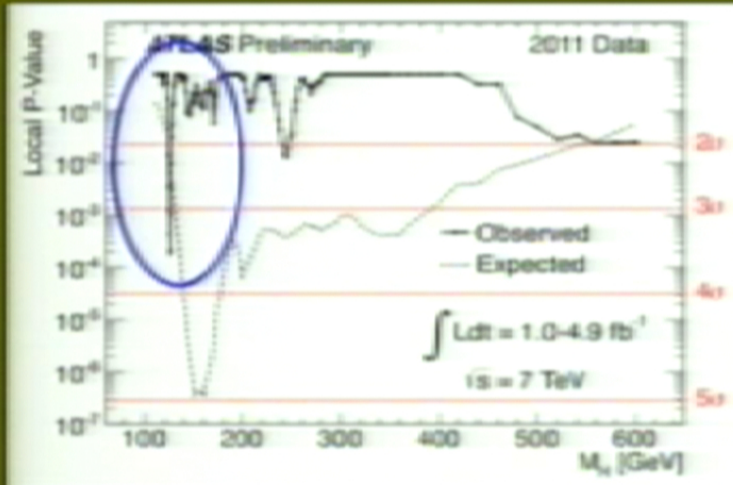
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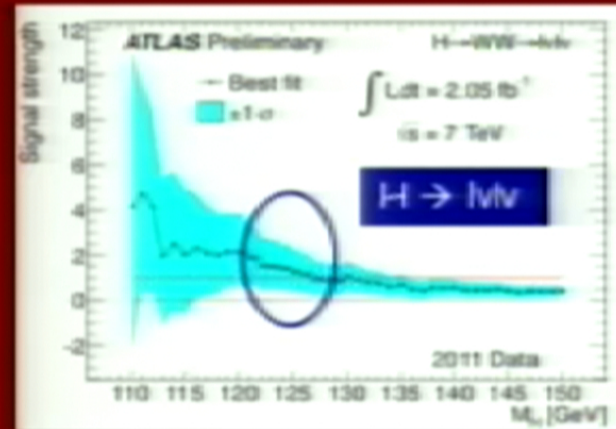
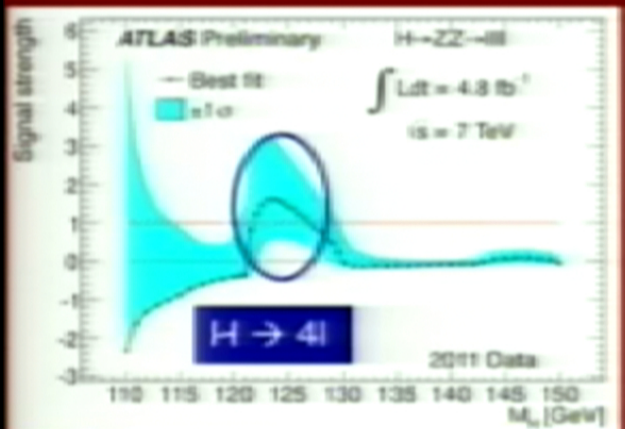
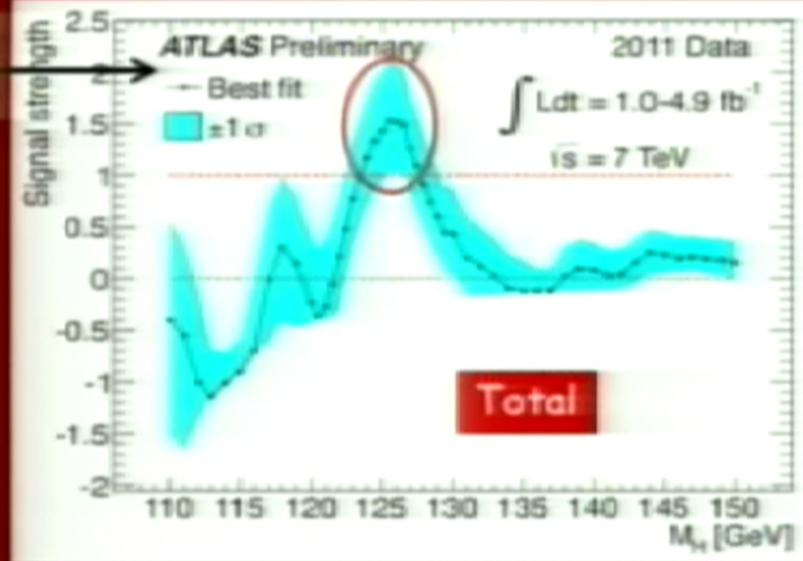
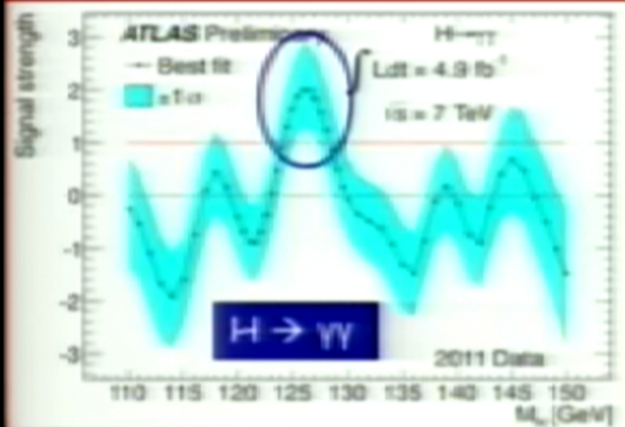
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Global p_0 -value: 1.4% → 2.2σ LEE over 110-600 GeV

Compatibility of the observation with the expected strength of a SM Higgs signal



The observed excess is slightly larger (2 ± 0.8) than expected in the $H \rightarrow \gamma\gamma$ channel and compatible within 1σ for the other channels and the combined result

La suite ...

Improve analysis sensitivities:

- update $H \rightarrow WW^{(*)} \rightarrow l\nu l$, $W/ZH \rightarrow bb$ and $H \rightarrow \pi\pi$ to $\sim 5 \text{ fb}^{-1}$
 - relax kinematic cuts (e.g. lepton p_T) to increase acceptance at low masses
 - multivariate techniques, exclusive channels (e.g. $H \rightarrow \gamma\gamma + 0/1/2$ jets), additional discriminating variables beyond mass spectra (p_T , angular distributions, etc.)
- in parallel: improvements of the detector performance and modeling (a never-ending feat ...)

One of the numerous lessons and outstanding achievements of the Tevatron:
how much better than expectation experiments can do with data and ingenuity!

Combine with CMS: being discussed ...

Not before results from individual experiments are published

MORE DATA \rightarrow 2012 run:

$\sim 20 \text{ fb}^{-1}$ more per experiment of delivered luminosity needed for:

- 5σ discovery at $m_H \sim 125 \text{ GeV}$ with $\sim 3\sigma$ per channel (ATLAS alone)
- 5σ discovery down to $\sim 116 \text{ GeV}$ (ATLAS+CMS combined)

"Contingency": analysis improvements; $\sqrt{s}=8 \text{ TeV}$ (brings $\sim 10\%$ sensitivity gain)

Conclusions

It has been a wonderful year for the LHC and ATLAS → THANKS LHC TEAM !

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It has been a wonderful year for the LHC and ATLAS → THANKS LHC TEAM !

We have looked for a SM Higgs boson

- over the mass region 110-600 GeV
- in 11 distinct channels
- using up to 4.9 fb^{-1} of integrated luminosity

We have restricted the most likely mass region (95% CL) to

115.5-131 GeV

We observe an excess of events around $m_{H^*} \sim 126 \text{ GeV}$:

- local significance 3.6σ , with contributions from the $H \rightarrow \gamma\gamma$ (2.8σ), $H \rightarrow ZZ^* \rightarrow 4l$ (2.1σ), $H \rightarrow WW^{(*)} \rightarrow l\nu l\nu$ (1.4σ) analyses
- SM Higgs expectation: 2.4σ local → observed excess compatible with signal strength within $+1\sigma$
- the global significance (taking into account Look-Elsewhere-Effect) is **$\sim 2.3\sigma$**

It would be a very nice region for the Higgs to be → accessible at LHC in $\gamma\gamma$, $4l$, $l\nu l\nu$, bb , $\tau\tau$

What an extraordinary time !

A world map with a grid background, where several countries are highlighted in yellow. These include Argentina, Armenia, Australia, Austria, Azerbaijan, Belarus, Brazil, Canada, Chile, China, Colombia, Czech Republic, Denmark, France, Georgia, Germany, Greece, Israel, Italy, Japan, Morocco, Netherlands, Norway, Poland, Portugal, Romania, Russia, Serbia, Slovakia, Slovenia, South Africa, Spain, Sweden, Switzerland, Taiwan, Turkey, UK, USA, CERN, and JINR. The text 'ATLAS Collaboration' is written in large, bold, yellow letters at the bottom center. In the bottom right corner, there is a logo for the ATLAS Experiment, featuring a stylized figure holding a globe with the text 'ATLAS Experiment' curved around it.



Outline of the talk

- Short introduction.
- Search for a SM Higgs boson in the high mass region.
- Search for a SM Higgs boson in the low mass region.
- Combination of the searches and new exclusion limits.
- Conclusion.

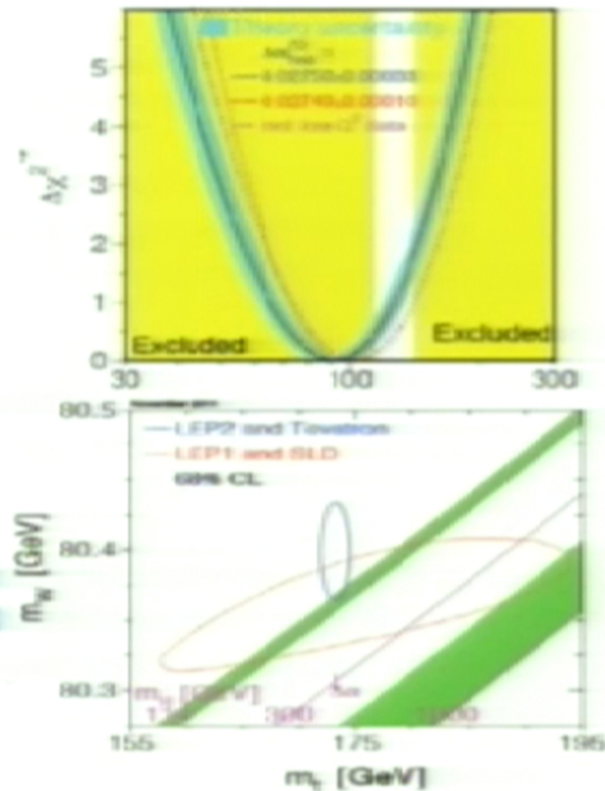
The SM Higgs boson

SM Higgs could be an excellent candidate to understand the ElectroWeak Symmetry Breaking mechanism.

Constraints from EWK precision measurements favour a light Higgs with Standard Model like couplings (WW, ZZ).

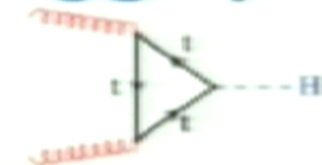
Recent exclusion limits based on the ATLAS+CMS Combination using $1.1\text{-}2.3\text{fb}^{-1}$ of data have constrained significantly the search.

I'll present preliminary results of our exploration in mass up to 600GeV but a special attention will be dedicated to the search of the SM Higgs Boson in the low mass region.



SM Higgs production at LHC

□ Gluon fusion



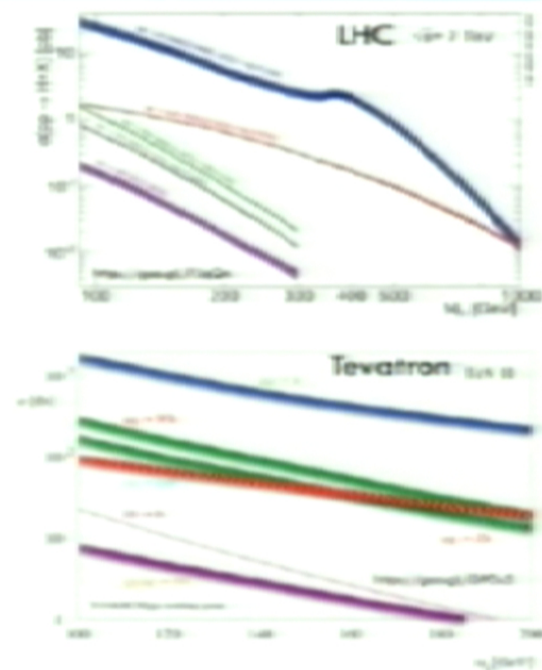
□ VBF



□ VH



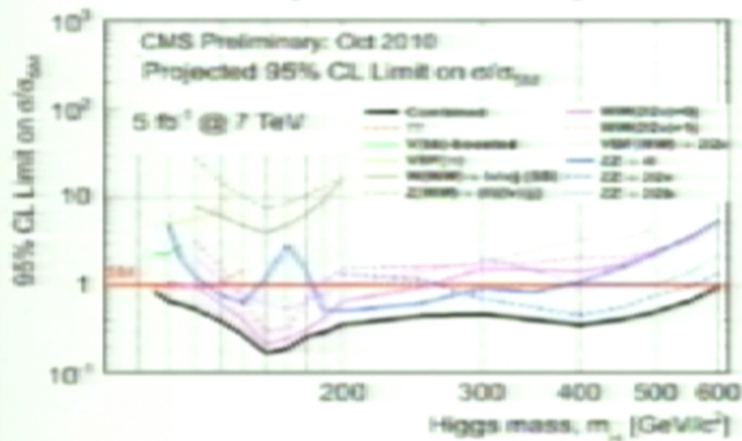
□ ttH



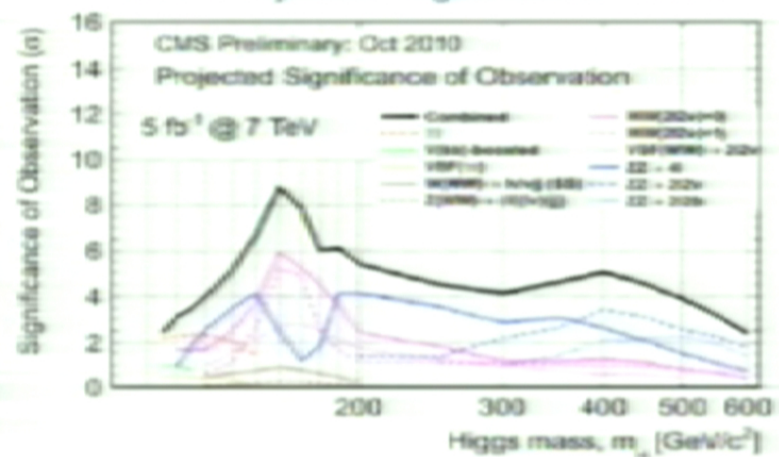
Gluon fusion ($gg \rightarrow H$) is the dominant production mechanism at LHC. Irreducible backgrounds in $H \rightarrow WW, ZZ, \gamma\gamma$ are from qq annihilation. Signal to Noise better than at Tevatron except in VH. VBF and VH also very useful at LHC

The challenge

CMS Projected Sensitivity @5fb⁻¹



CMS Projected Significance @5fb⁻¹



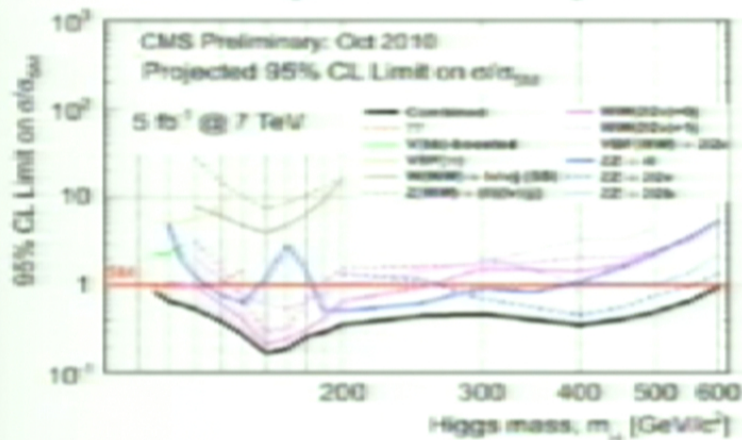
October 2010: with 5fb⁻¹ delivered by LHC we could reach a sensitivity below 1xSM in the full mass range.

If the SM Higgs boson would be hidden in the low mass region we could start seeing excesses with a significance of 2-3 sigma.

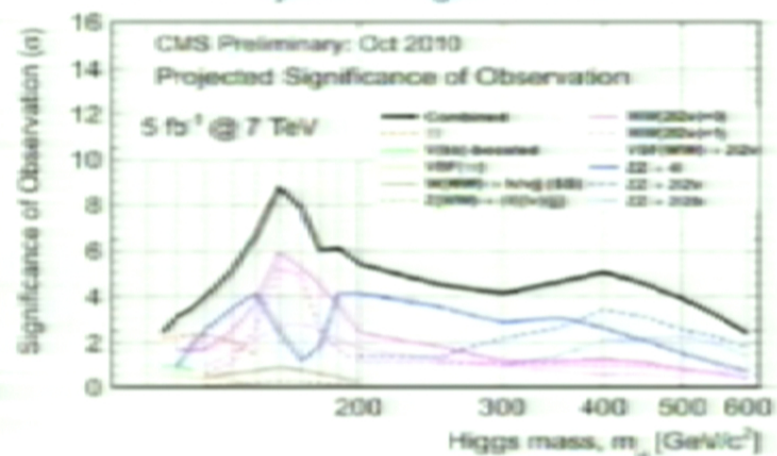
Every single channel, particularly in the low mass region, brings very important information.

The challenge

CMS Projected Sensitivity @5fb⁻¹



CMS Projected Significance @5fb⁻¹



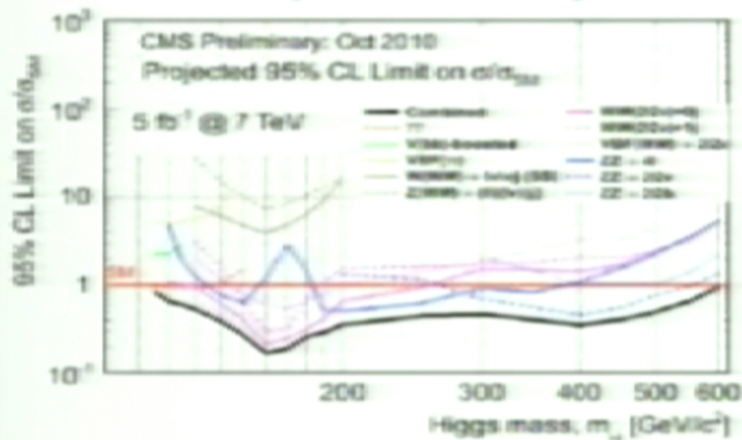
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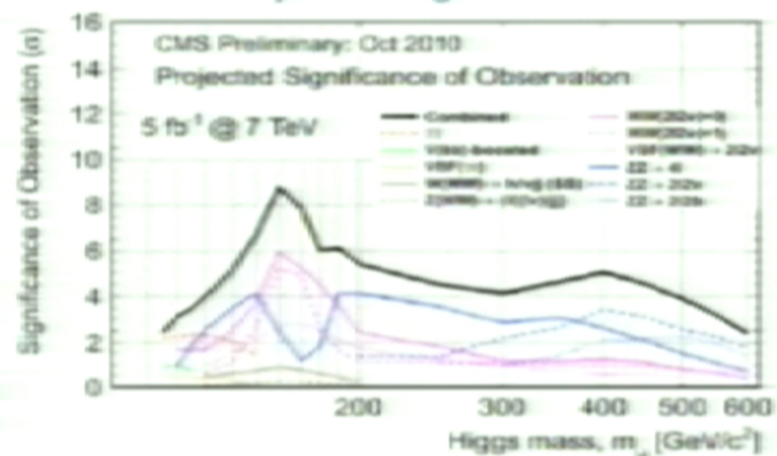
Every single channel, particularly in the low mass region, brings very important information.

The challenge

CMS Projected Sensitivity @5fb⁻¹



CMS Projected Significance @5fb⁻¹



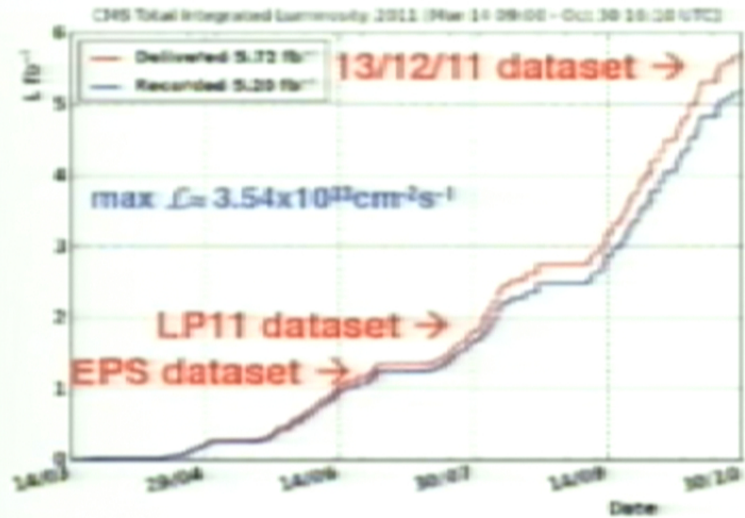
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LHC/CMS operations pp@ $\sqrt{s}=7\text{TeV}$ 2011

5.72fb⁻¹ delivered by LHC and **5.20fb⁻¹** recorded by CMS. Overall data taking efficiency **~91%**. Average fraction of operational channels per subsystem **>98.5%**



RPC	98.5
CSC	98.3
DT	99.4
HF	99.9
HE	100.0
HB	99.9
ES	95.9
EE	98.6
EB	99.1
STRIP	97.8
PIXEL	96.9

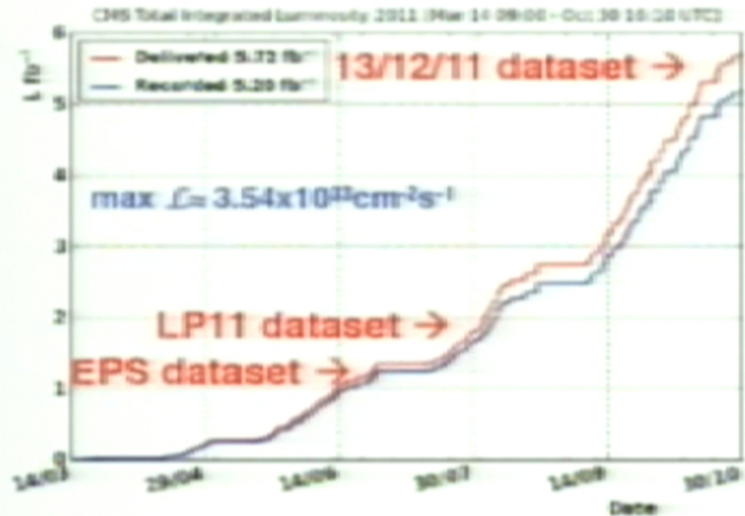
Results shown at this seminar use a large fraction of the full dataset.

Certified data for physics: Golden 4745pb⁻¹ (91.2%), Muon 4965pb⁻¹ (~96%).

Uncertainty on the luminosity determination 4.5%.

LHC/CMS operations pp@ $\sqrt{s}=7\text{TeV}$ 2011

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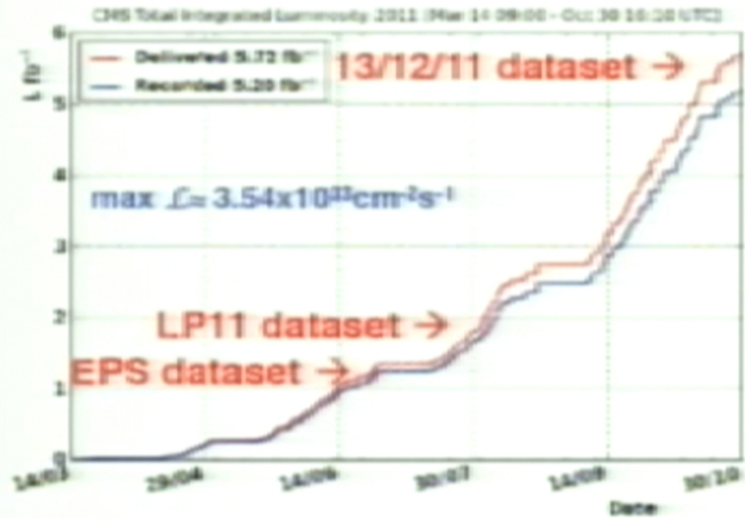
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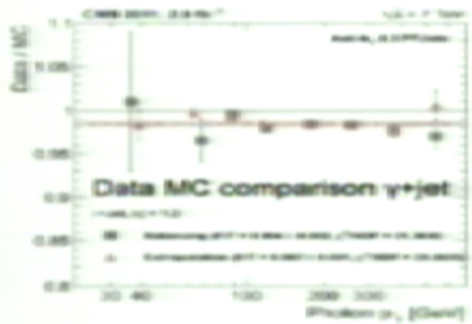
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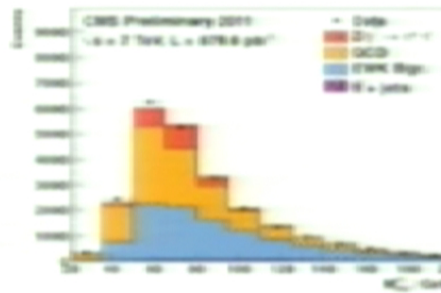
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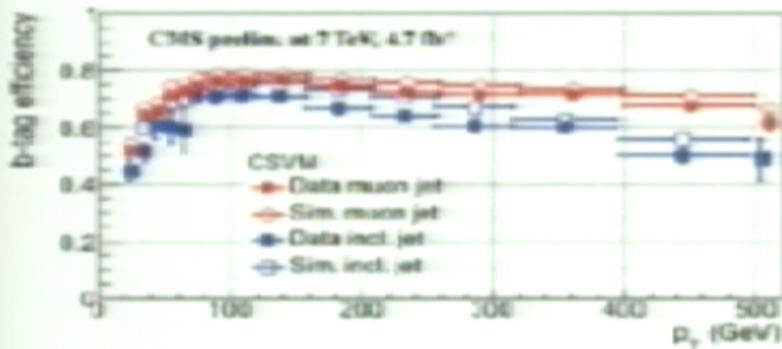
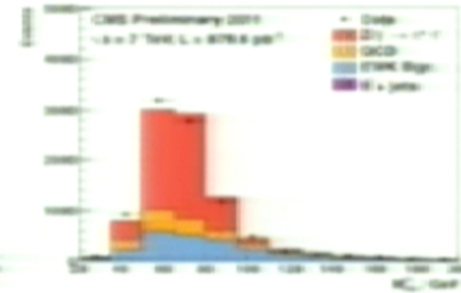
Excellent understanding of the physics "objects"



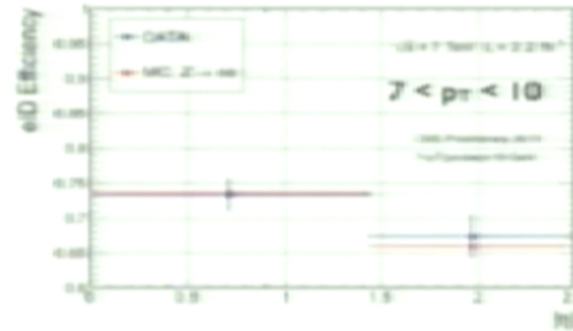
Jet Calibration with pileup



Tau efficiency with T&P on the Z measured to 6%

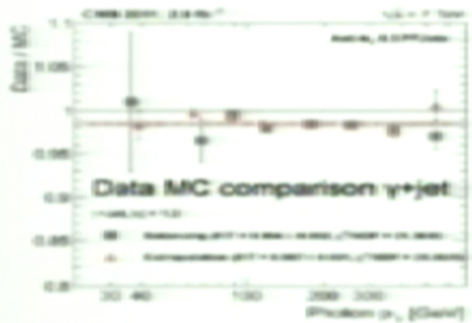


B- tagging efficiency measured to 10% up to 500 GeV

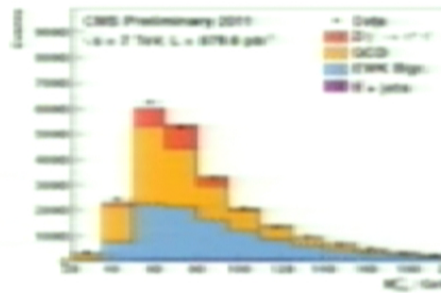


Electron efficiency with T&P on the Z measured down to 7 GeV

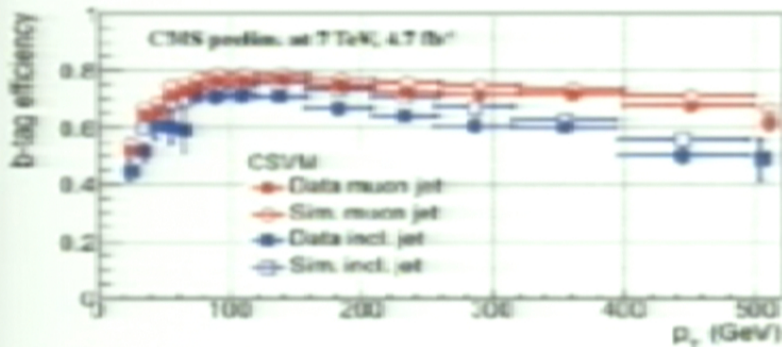
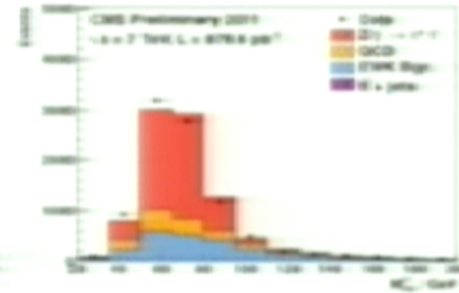
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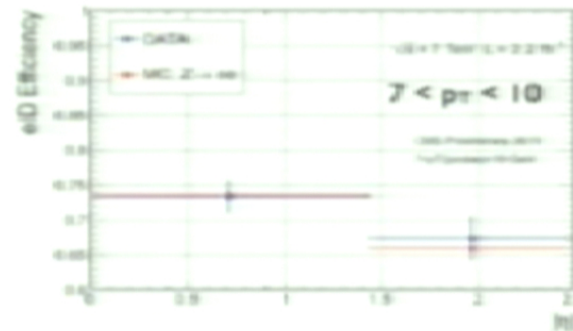
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Tau efficiency with T&P on the Z measured to 6%

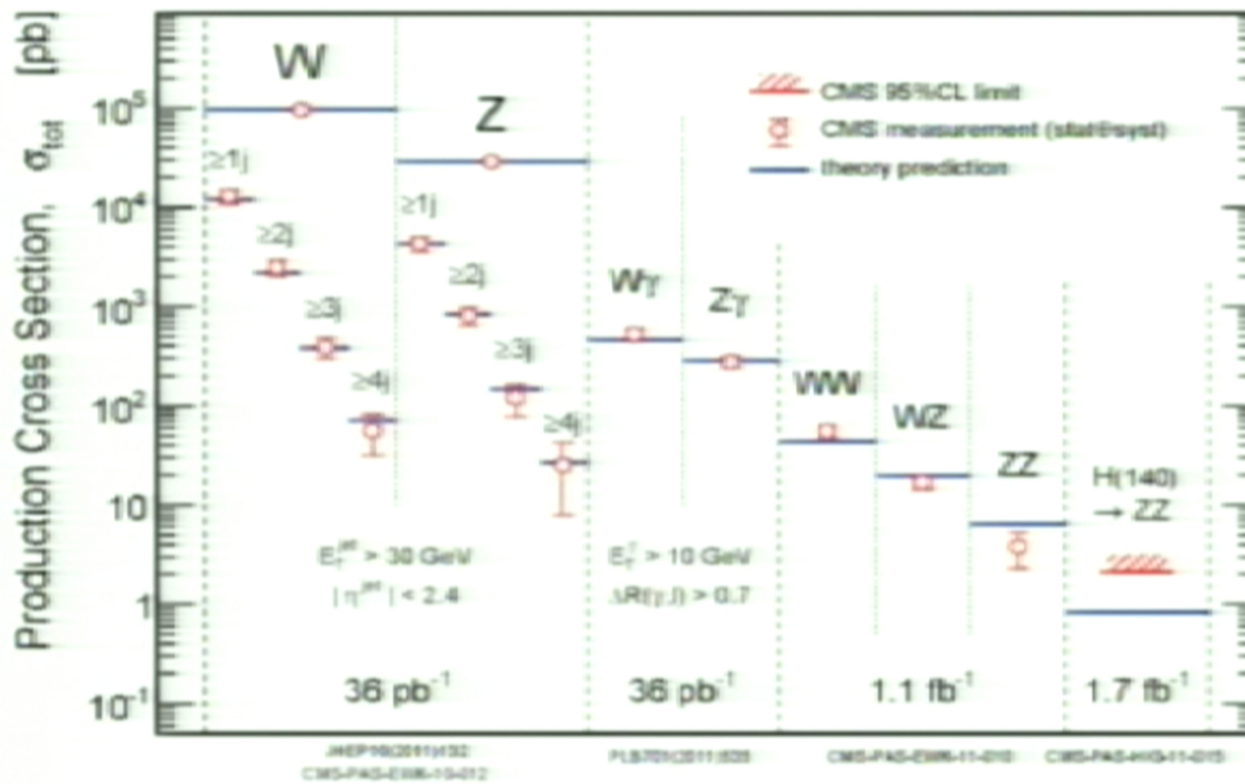


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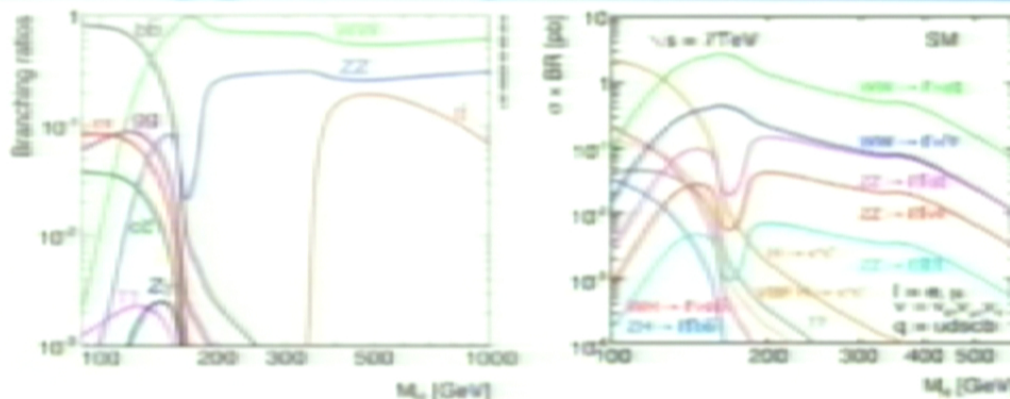


Electron efficiency with T&P on the Z measured down to 7 GeV

Some of the key SM background

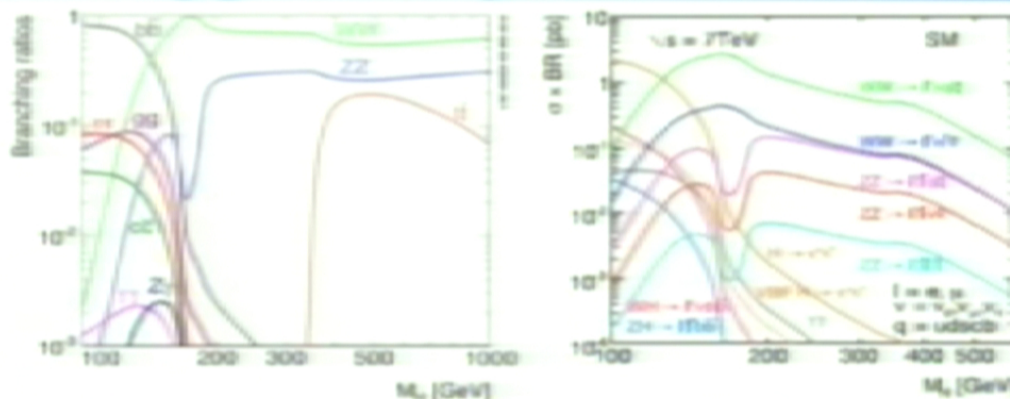


SM Higgs Decay Modes Vs Mass



Mode	Mass Range	Data Used (fb^{-1})	CMS Document
$H \rightarrow \tau\tau$	110-150	4.7	HIG-11-030
$H \rightarrow b\bar{b}$	110-135	4.7	HIG-11-031
$H \rightarrow t\bar{t}$	110-145	4.6	HIG-11-029
$H \rightarrow WW \rightarrow 2l2\nu$	110-600	4.6	HIG-11-024
$H \rightarrow ZZ \rightarrow 4l$	110-600	4.7	HIG-11-025
$H \rightarrow ZZ \rightarrow 2l2\nu$	190-600	4.7	HIG-11-028
$H \rightarrow ZZ \rightarrow 2l2j$	130-165/200-600	4.6	HIG-11-027
$H \rightarrow ZZ \rightarrow 2l2\nu$	250-600	4.6	HIG-11-026

SM Higgs Decay Modes Vs Mass



Mode	Mass Range	Data Used (fb^{-1})	CMS Document
$H \rightarrow \tau\tau$	110-150	4.7	HIG-11-030
$H \rightarrow bb$	110-135	4.7	HIG-11-031
$H \rightarrow tt$	110-145	4.6	HIG-11-029
$H \rightarrow WW \rightarrow 2l2\nu$	110-600	4.6	HIG-11-024
$H \rightarrow ZZ \rightarrow 4l$	110-600	4.7	HIG-11-025
$H \rightarrow ZZ \rightarrow 2l2\nu$	190-600	4.7	HIG-11-028
$H \rightarrow ZZ \rightarrow 2l1\nu$	130-165/200-600	4.6	HIG-11-027
$H \rightarrow ZZ \rightarrow 2l2\nu$	250-600	4.6	HIG-11-026



Analyses presented here

Channel	m_H range (GeV/ c^2)	Lumi (fb $^{-1}$)	sub- channels	m_H reso- lution
$H \rightarrow \gamma\gamma$	110 – 150	4.7	4	1–3%
$H \rightarrow \tau\tau$	110 – 145	4.6	9	20%
$H \rightarrow b\bar{b}$	110 – 135	4.7	5	10%
$H \rightarrow WW \rightarrow \ell\nu\ell\nu$	110 – 600	4.6	5	20%
$H \rightarrow ZZ \rightarrow 4\ell$	110 – 600	4.7	3	1–2%
$H \rightarrow ZZ \rightarrow 2\ell 2\tau$	190 – 600	4.7	8	10–15%
$H \rightarrow ZZ \rightarrow 2\ell 2\nu$	250 – 600	4.6	2	7%
$H \rightarrow ZZ \rightarrow 2\ell 2q$	{ 130 – 164 200 – 600	4.6	6	3%

All 8 analyses yielded a preliminary result to be shown today, and contributed to the CMS combination documented in [HIG-011-32](#).

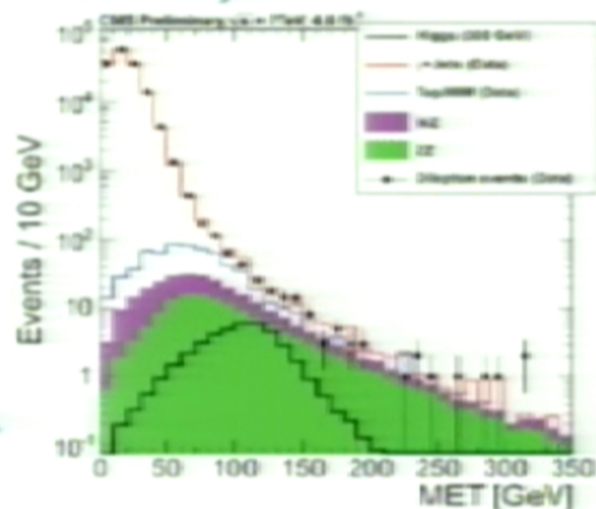
High Mass Higgs: $H \rightarrow ZZ \rightarrow 2l2\nu$



- $M_Z \pm 15 \text{ GeV}; P_T(l\bar{l}) > 55 \text{ GeV}$
- Use: $M_T^2 = (\sqrt{P_{Tl}^2 + M_Z^2} + \sqrt{\text{MET}^2 + M_Z^2})^2 - (P_{Tl} + \text{MET})^2$
- Major backgrounds: Z+Jets, ttbar & WW
 - M_{E_T} requirement to suppress Z + jets by $\times 10^5$
 - Anti b-tag to suppress ttbar
- Backgrounds estimated from data
 - Z+jets (using γ + jets); $e\mu$ sample (for ttbar ++WW, single-top/W+jets/Ztautau)
- ZZ, WZ background estimate from MC

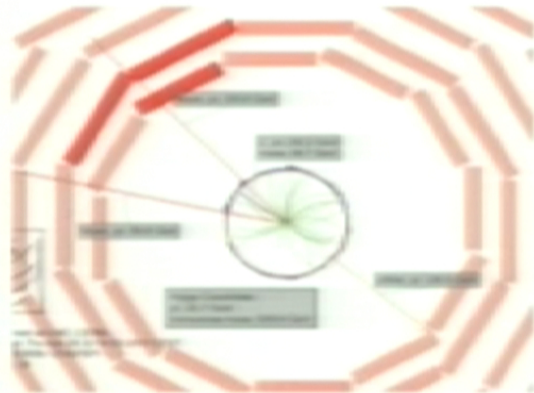
High sensitivity analysis for the high mass;

- Z+jets background estimated from data
- M_T shape analysis introduced
 - 10% improvement compared to cut-based analysis shown in LP





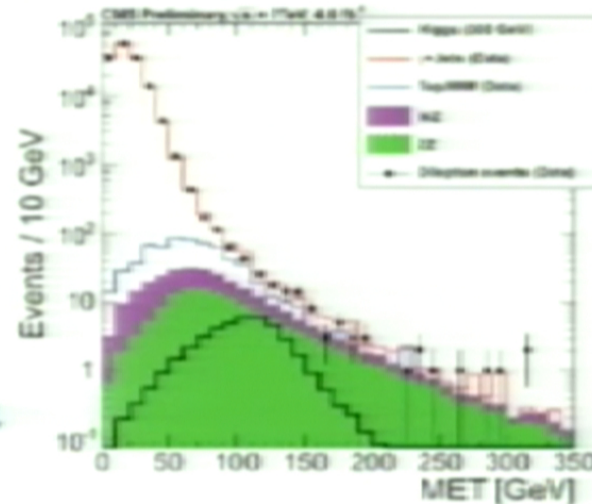
High Mass Higgs: $H \rightarrow ZZ \rightarrow 2l2\nu$



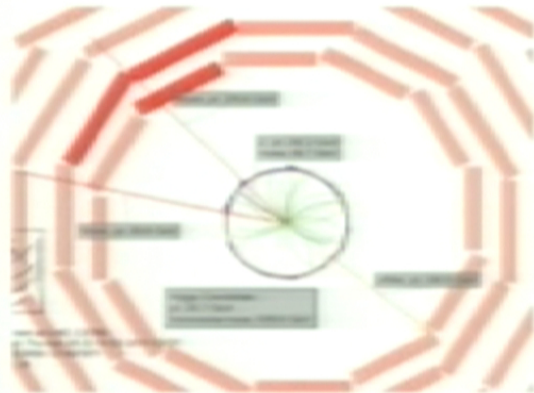
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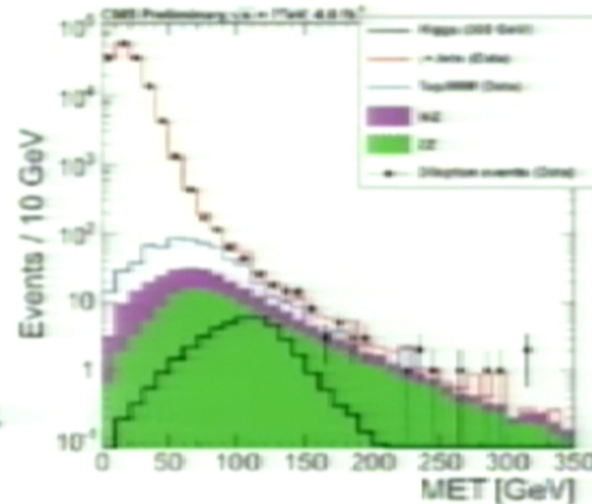
High Mass Higgs: $H \rightarrow ZZ \rightarrow 2l2\nu$



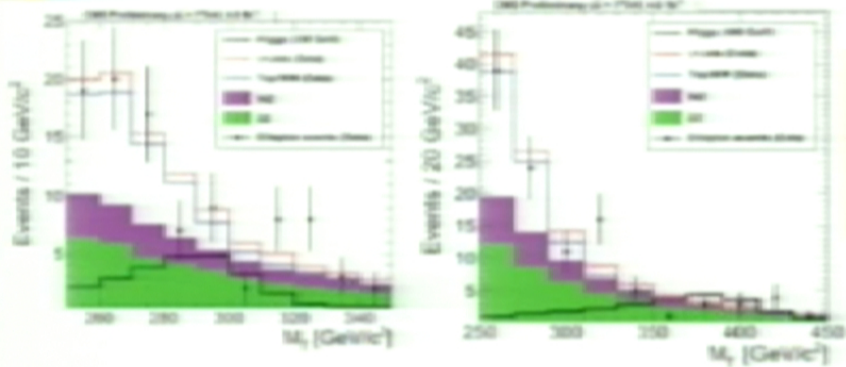
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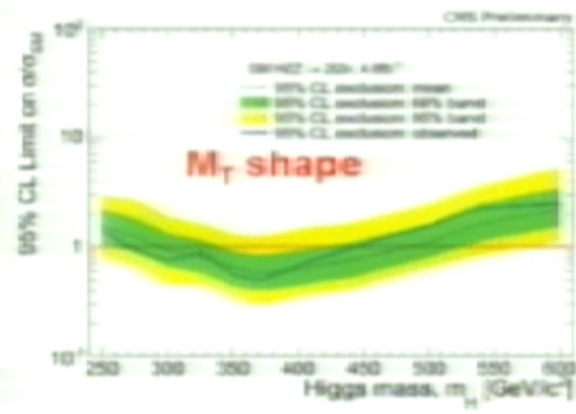
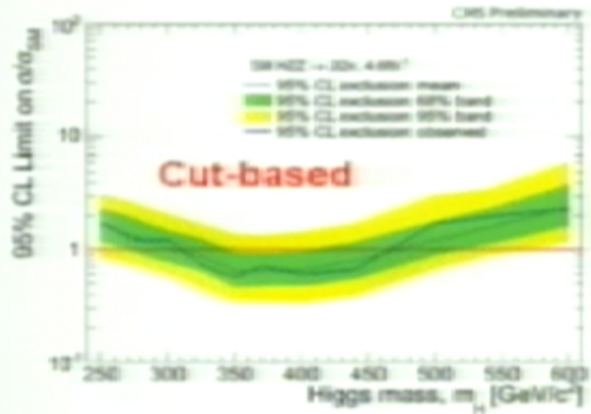
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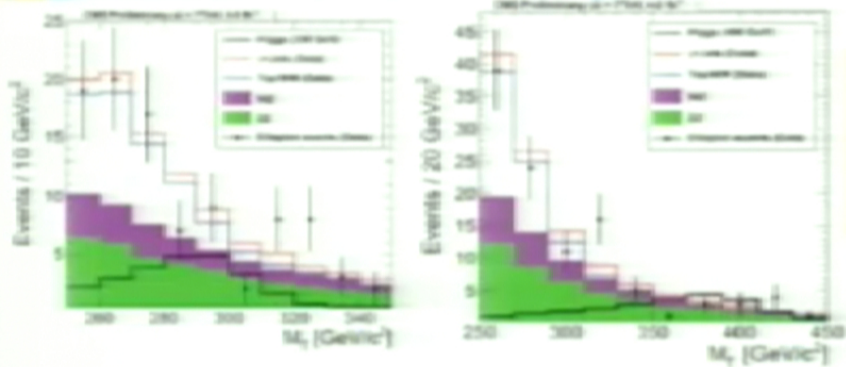
Results and Limits: $H \rightarrow ZZ \rightarrow 2l2\nu$



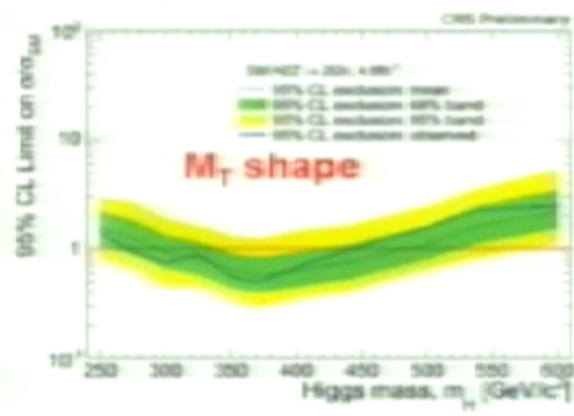
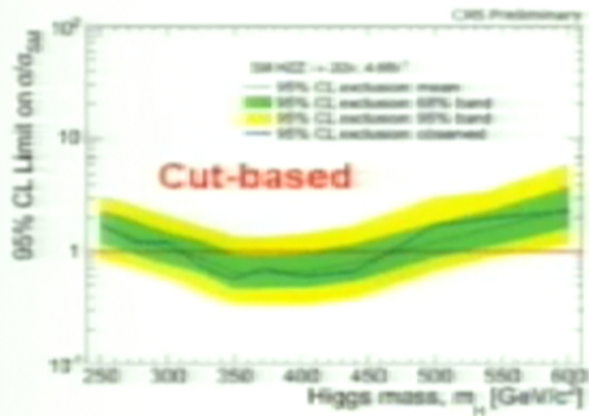
95%CL exclusion limits for a SM Higgs boson in the range 270-440 GeV (M_T shape based analysis)



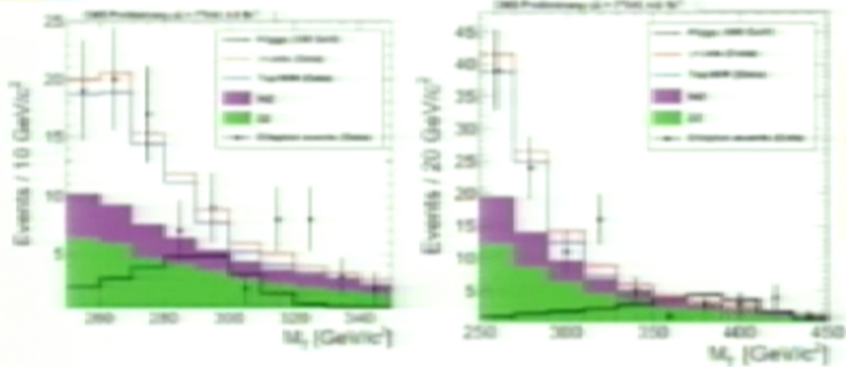
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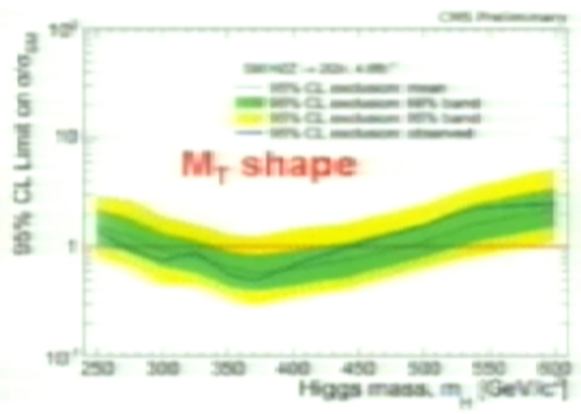
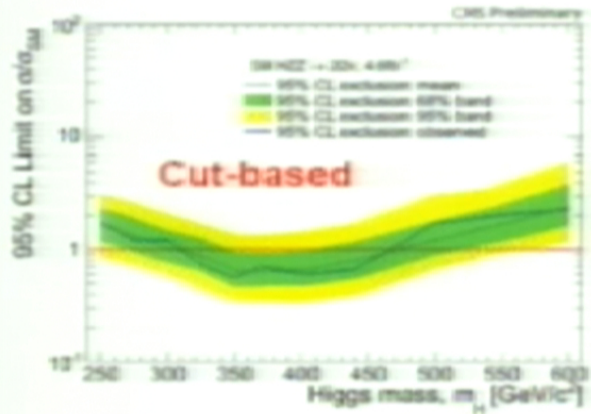
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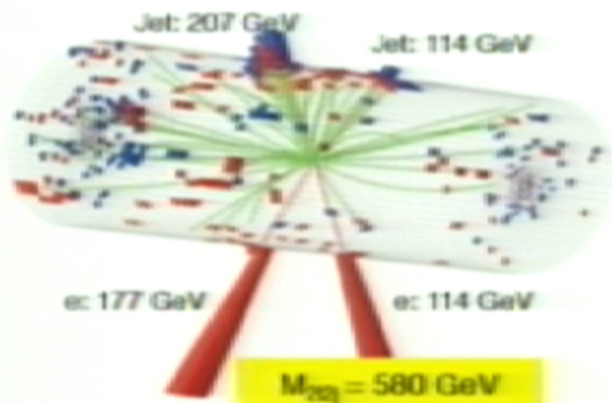
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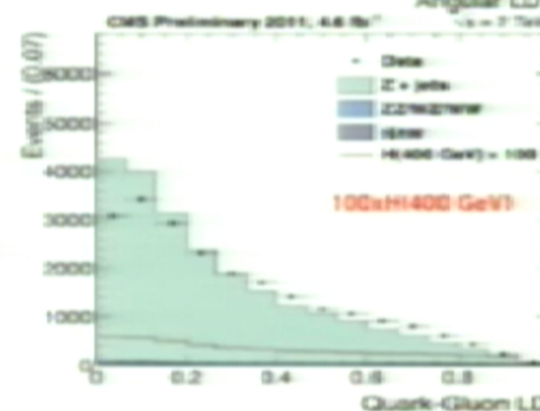
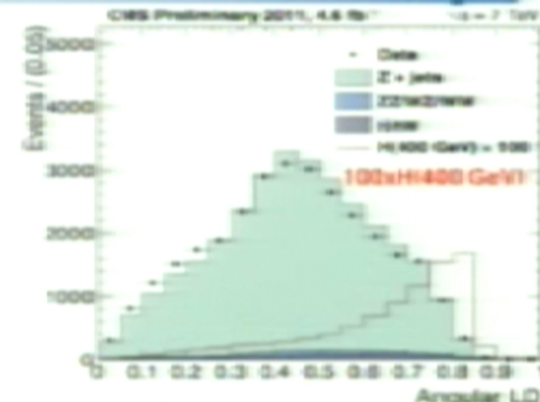
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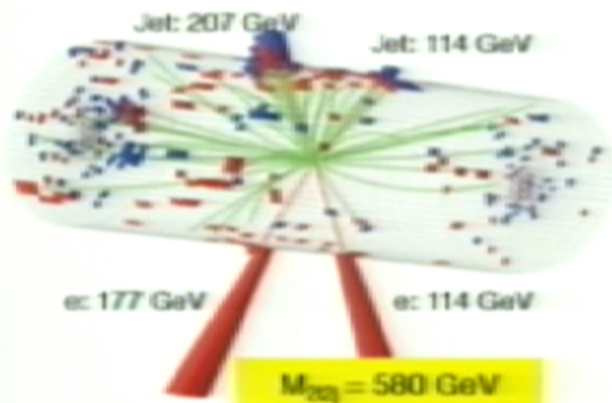
High Mass Higgs: $H \rightarrow ZZ \rightarrow 2l 2q$



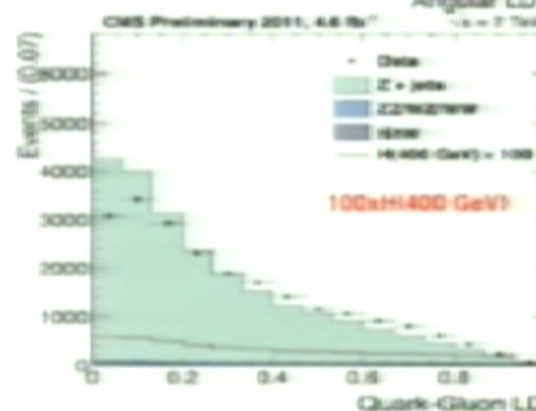
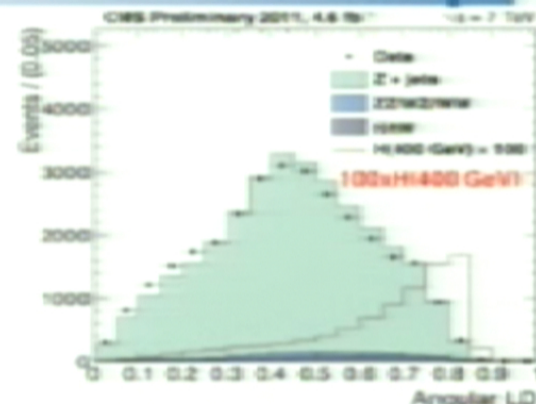
- Since LP: Added low mass in M_{2q} distribution
- Events categorized by presence of 0, 1, 2 b-jets
- Major background: Z+jets ; $t\bar{t}$ suppressed by ME_T significance requirement
- Use 5 angles of scalar $H \rightarrow ZZ \rightarrow 2l 2q$ in an angular likelihood discriminant
- Quark-gluon discriminant to reject Z+jets
- Background shape, normalization ← data sideband



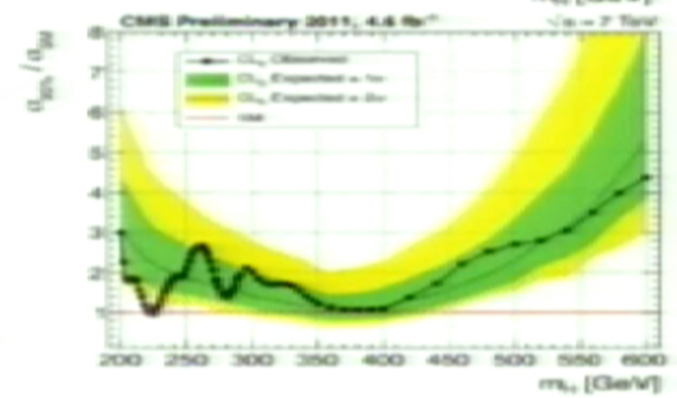
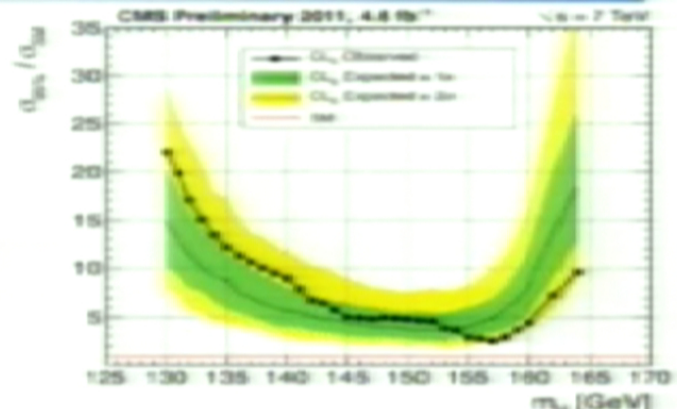
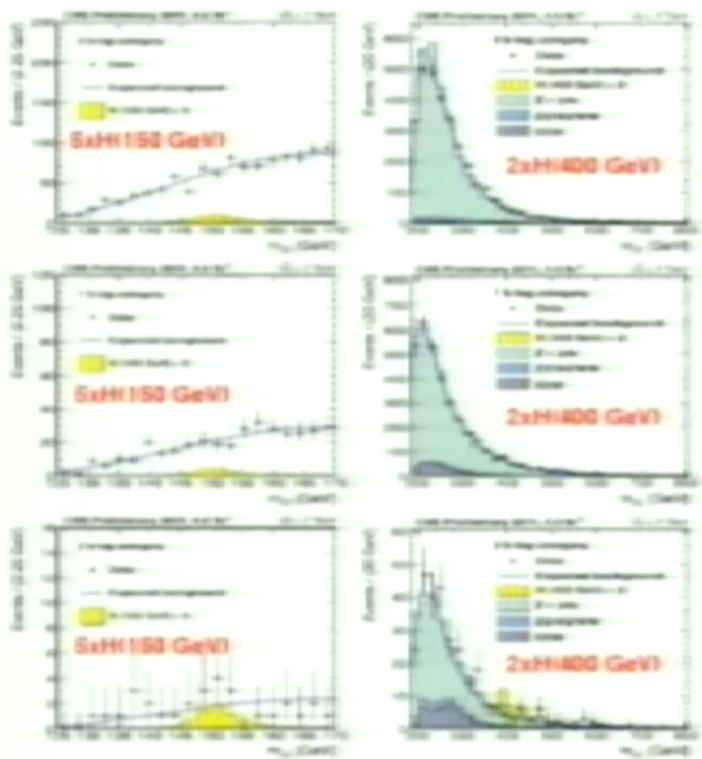
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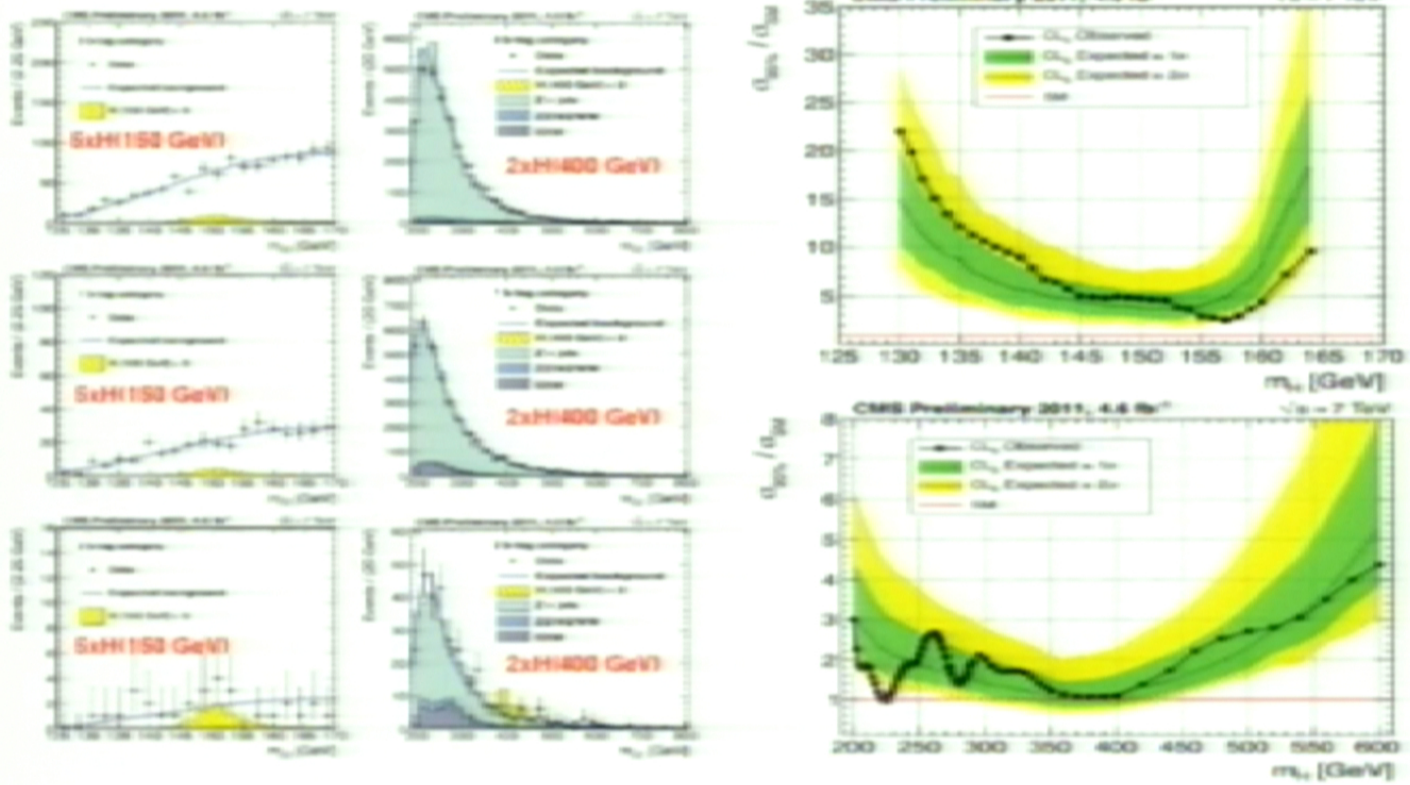
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H → ZZ → 2l 2q: data and limits

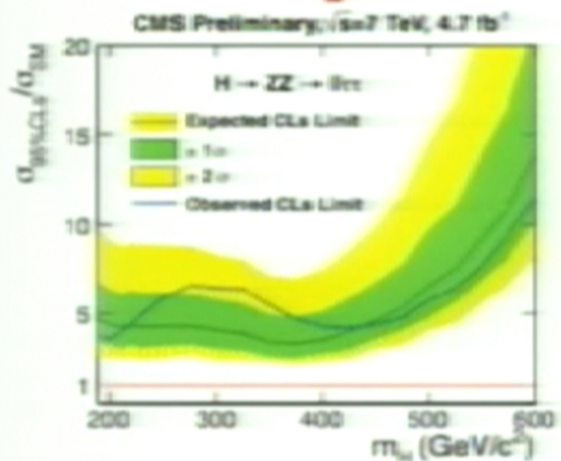
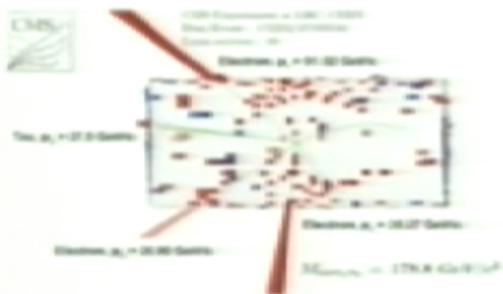


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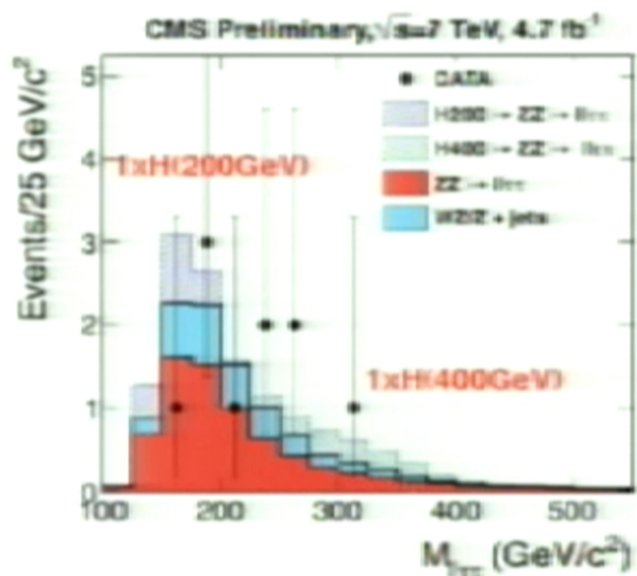


High Mass Higgs: $H \rightarrow ZZ \rightarrow 2l 2\tau$

ee $\tau\tau$ candidate



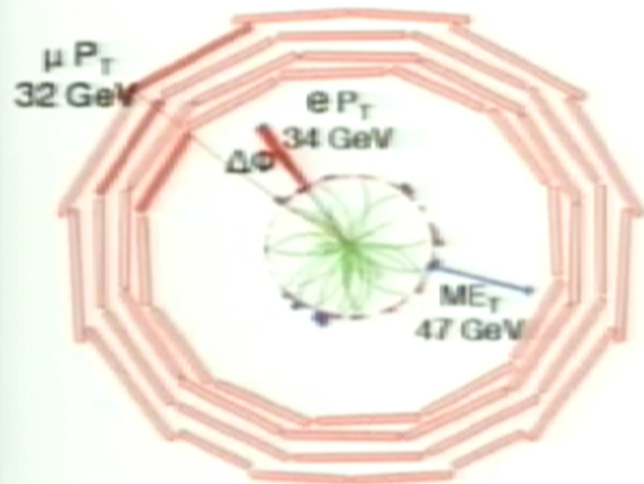
No major change w.r.t LP'11



10 observed events, 10.2 expected background
Background shapes are taken from MC simulation and normalized to the values obtained using data-driven techniques.



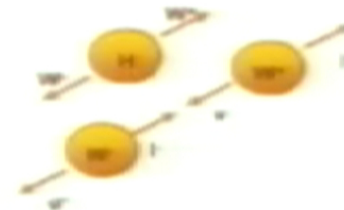
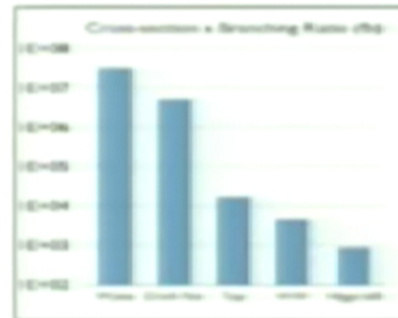
H → WW → 2l 2ν



Signal characteristics:

- Only 2 opposite sign, isolated leptons
- significant ME_T → No mass peak
- No b-jets, no additional low P_T μ
- With additional 0, 1 or 2 jets (VBF)
- Small $\Delta\Phi$ ($l'l'$) ← Higgs scalarity

- No signal mass peak (missing $\nu\nu$) → Counting expt.
- Challenge is to remove & control large backgrounds

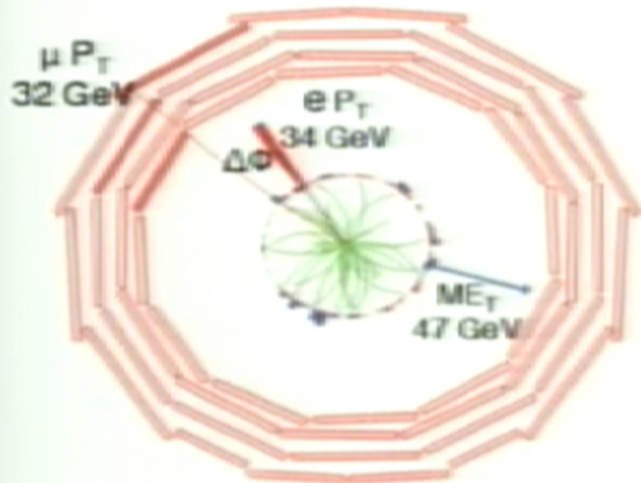


Major requirements:

- Lepton $P_T > 15$ GeV, tight ID & Isolation
 - removes QCD & WW+jets contamination
- Large ME_T & $Z \rightarrow \mu\mu$, ee veto
 - removes Drell-Yan contamination
- Classification by # of jets ($P_T > 30$ GeV) & b-jet veto
 - removes Top contamination
- Kinematic discriminants: M_{ll} & $\Delta\Phi$ ($l'l'$)
 - mitigates $pp \rightarrow WW$ background
- M_{ll} -dependent cut optimization



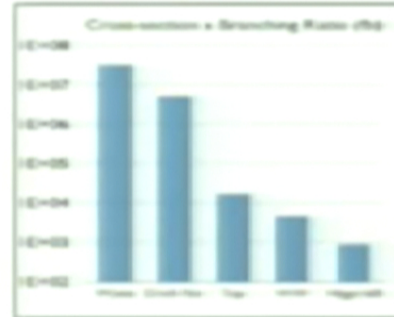
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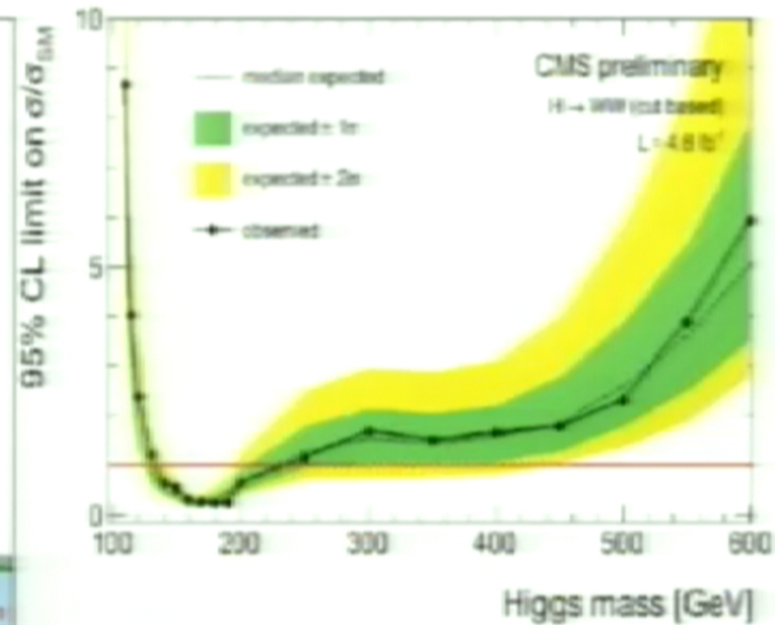
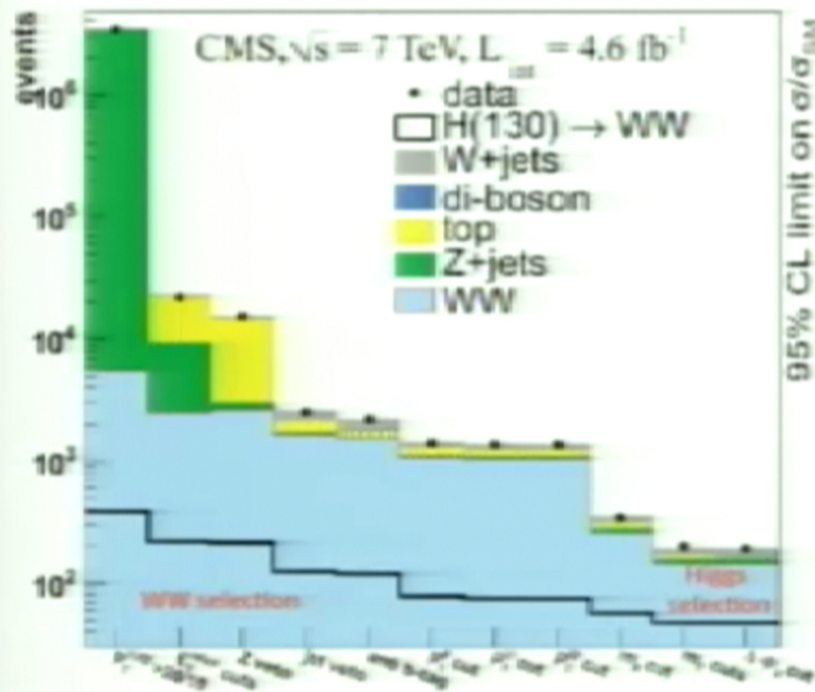
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- Kinematic discriminants: M_{ll} & $\Delta\Phi$ (l'l')
 - mitigates pp → WW background
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H → WW → 2l 2ν: improvements

- Objects Identification:
 - MVA-based electron identification (fakes reduced by 50%, same signal efficiency)
- Selections:
 - Pileup dependent MET cut
 - Minimum dilepton mass cut from 12 → 20 GeV for same-flavor events
 - Refined the top tagging procedure (less sensitive to PU)
 - Trailing lepton p_T from 10 to 15 GeV for SF and dilepton p_T cut at 45 GeV (suppressing Drell-Yan and W+jets)
- Backgrounds:
 - Refined DY and top estimation
 - Data driven normalization of DY → ττ and Wγ*
- Major effort in understanding BDT Shape based analysis:
 - Shape variation for systematic uncertainty evaluation
 - Additional cross-checks: single variable shape analyses; matrix element analysis

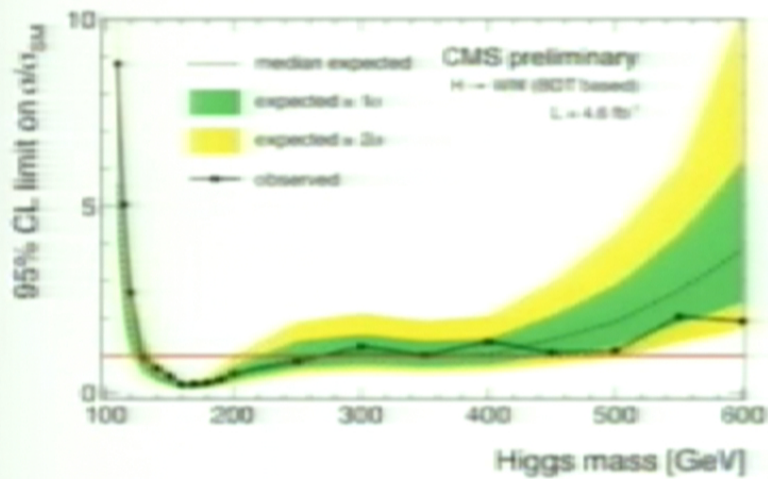
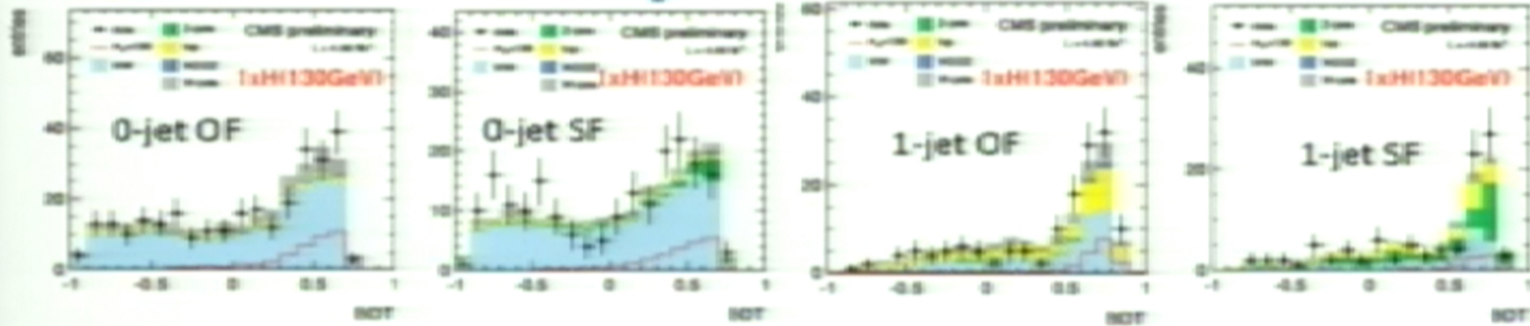
Data and limits in cut and count analysis



Expected range: $129 < M_H < 236$ GeV
Observed range: $132 < M_H < 238$ GeV

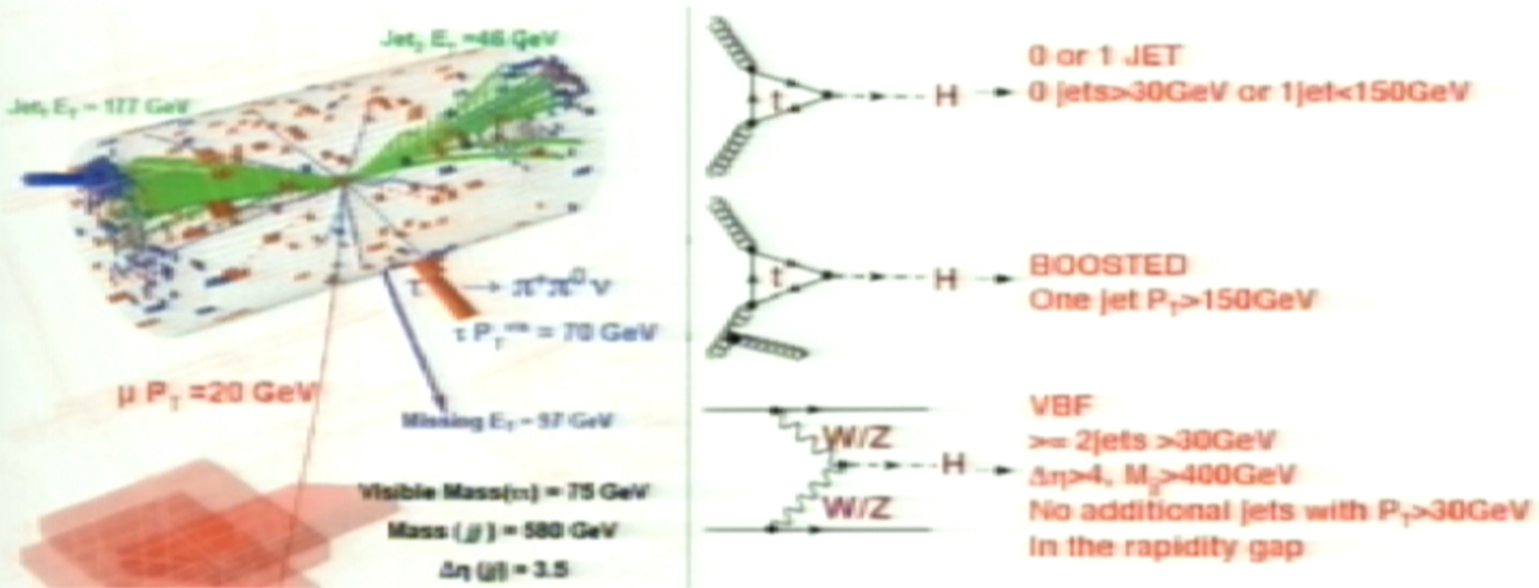
Data describes predicted background well.

BDT Shape Comparison



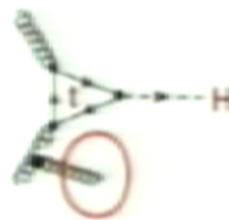
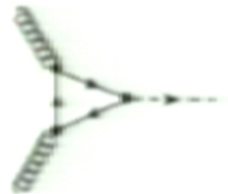
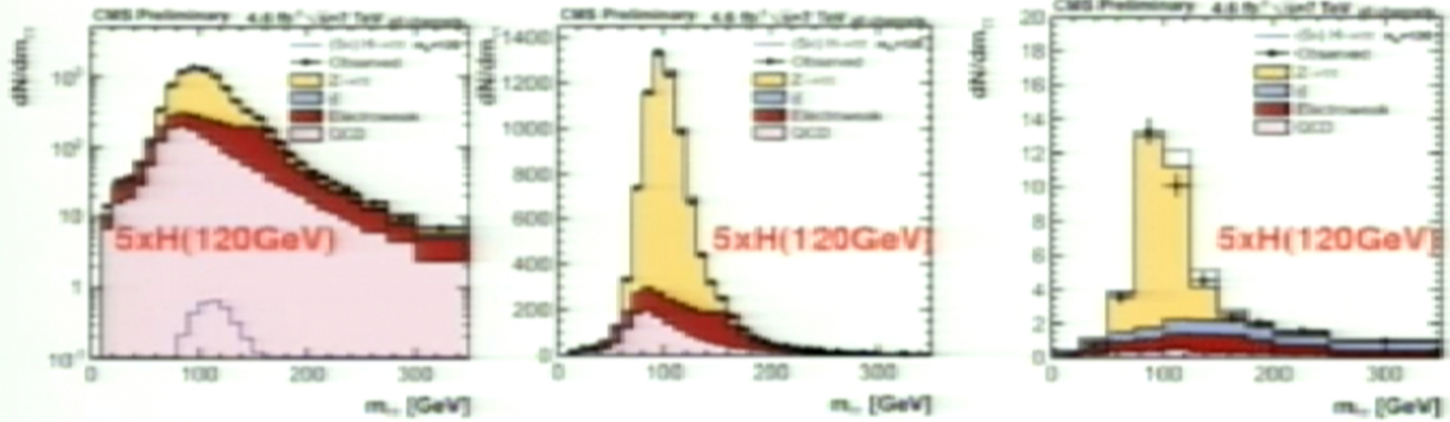
Expected range: $127 < M_{H} < 270$ GeV
 Observed range: $129 < M_{H} < 270$ GeV

Low Mass Higgs Search : $H \rightarrow \tau\tau$



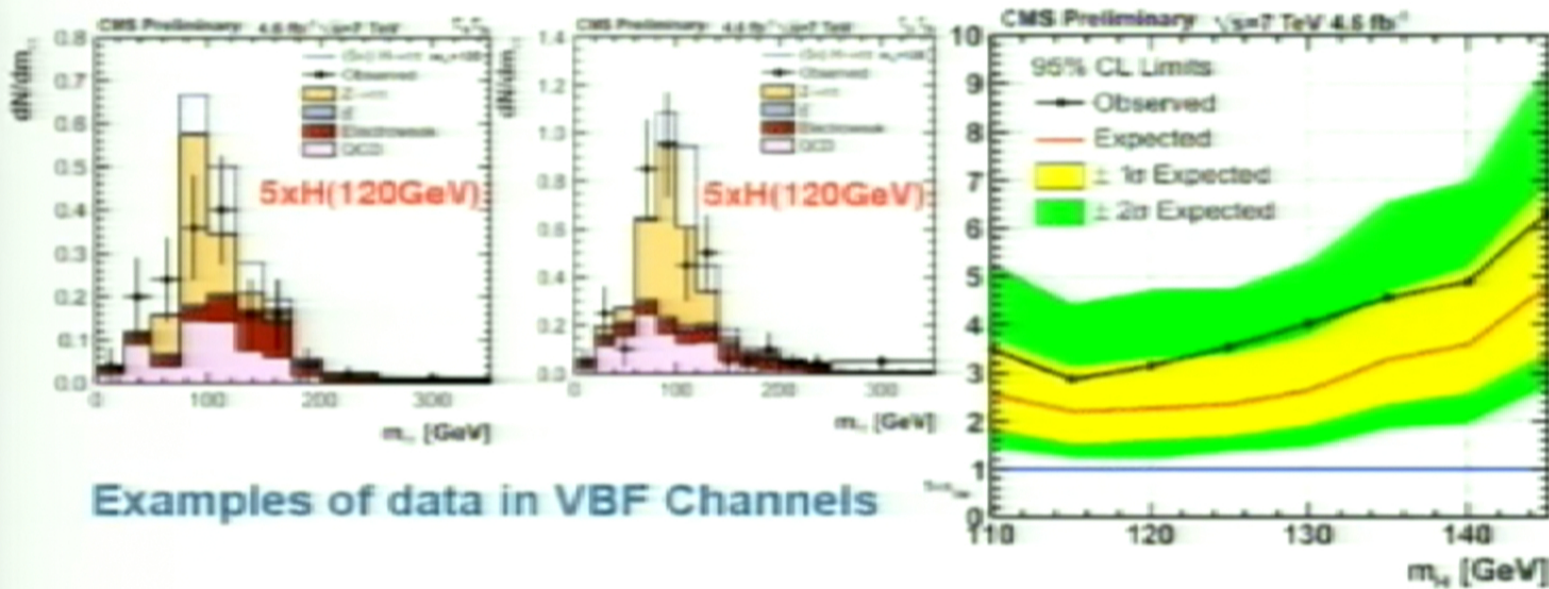
- $\tau\tau$ selection: $\mu + \tau_{had}$, $\mu + \tau_{had}$, $\mu + e$
- **SM-Boosted mode added**
- **VBF mode cleanest, most sensitive**

H → ττ : Mass Spectrum By Categories





H → ττ : data and limits

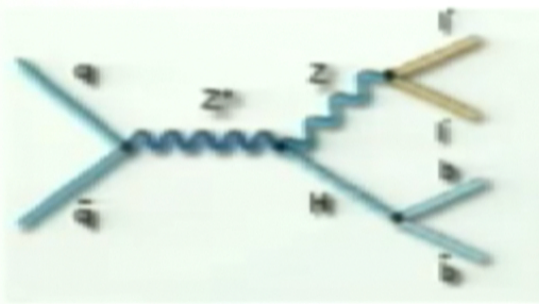
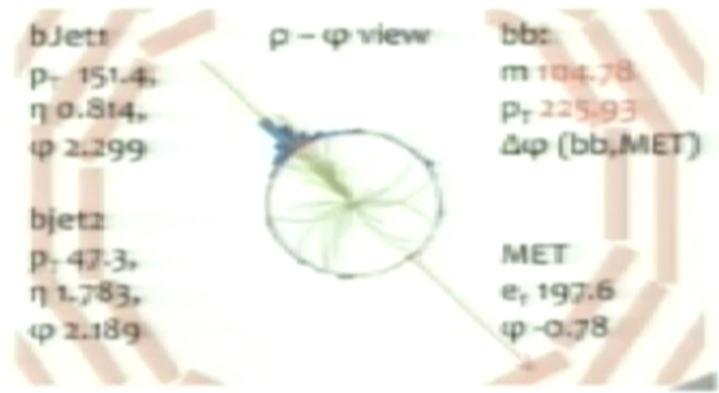


Examples of data in VBF Channels

Significant improvement in sensitivity since LP'11

Low Mass Higgs Search : $H \rightarrow bb$

- $gg \rightarrow H \rightarrow bb$ and VBF are dominant production modes but overwhelmed by enormous QCD di-jet background
- Best option: $qq \rightarrow VH; H \rightarrow bb$
 - Major backgrounds are V +jets, VV , $t\bar{t}$
- Use
 - VH topology : $\Delta\Phi(V,H) > 3$
 - $P_T(V) > 100-160$ GeV (boosted W/Z)
 - Tight b-tagging & MET quality
 - Backgrounds estimated from control data

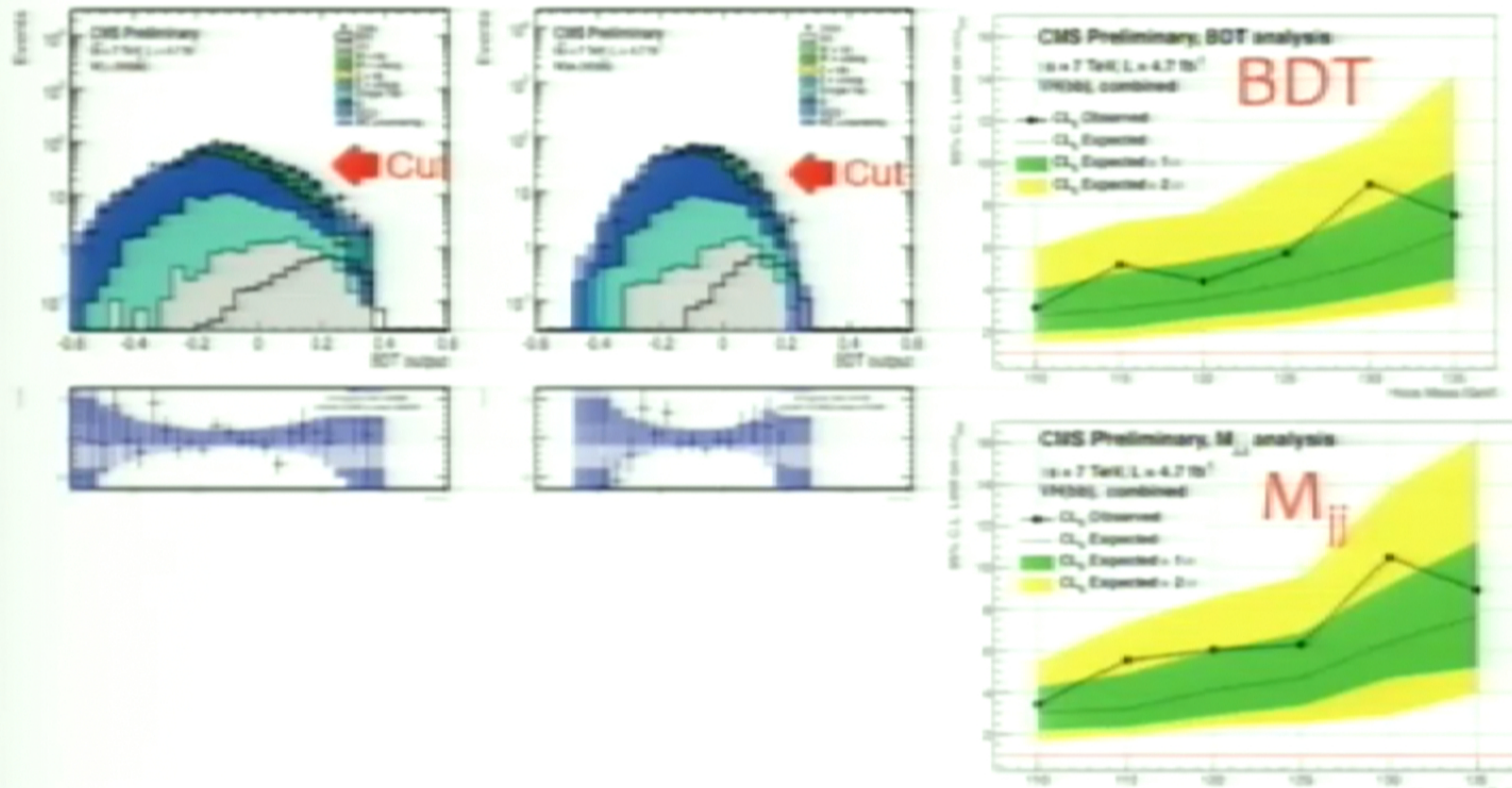


5 sub channels

- $Z(\rightarrow ll); H \rightarrow bb, l = \mu, e$
- $W(\rightarrow lv); H \rightarrow bb, l = \mu, e$
- $Z(\rightarrow \nu\nu); H \rightarrow bb$

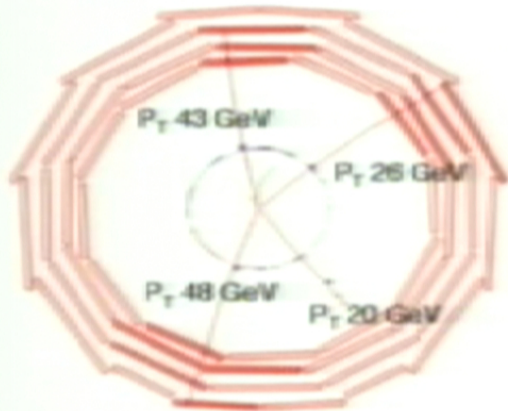
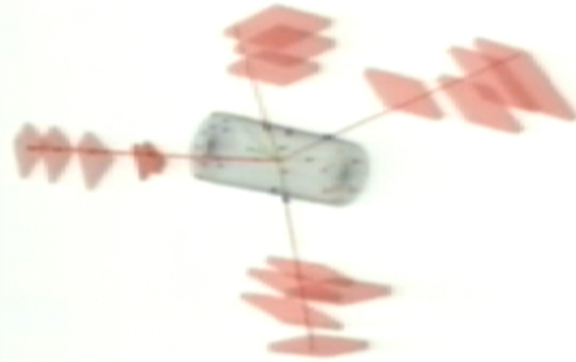
Analysis method largely unchanged w.r.t LP'11
 Extensive use of data driven methods to control the backgrounds.

H → bb: data and limits



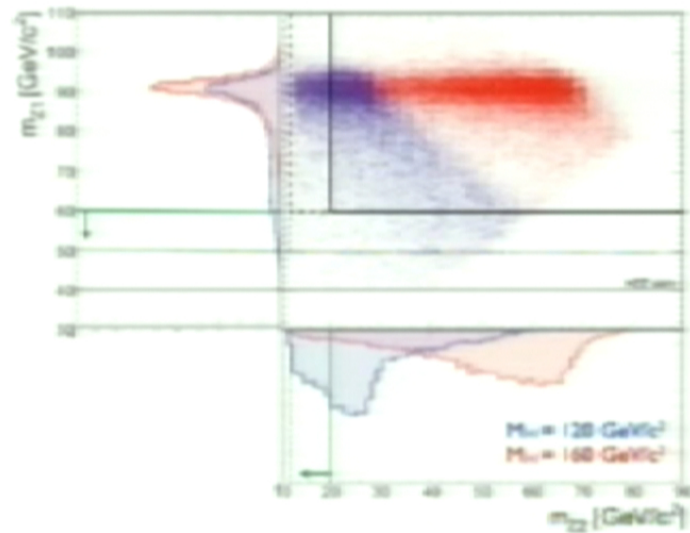


H \rightarrow ZZ \rightarrow 4e, 4 μ , 2e2 μ : The Golden Channel



Improved sensitivity at low Higgs masses

- Reduce MZ_1 cut from 60 \rightarrow 50 GeV
- Reduce MZ_2 cut from 20 \rightarrow 12 GeV



H → ZZ → 4l: Baseline Selection

$50 < m_{Z1} < 120 \text{ GeV}$

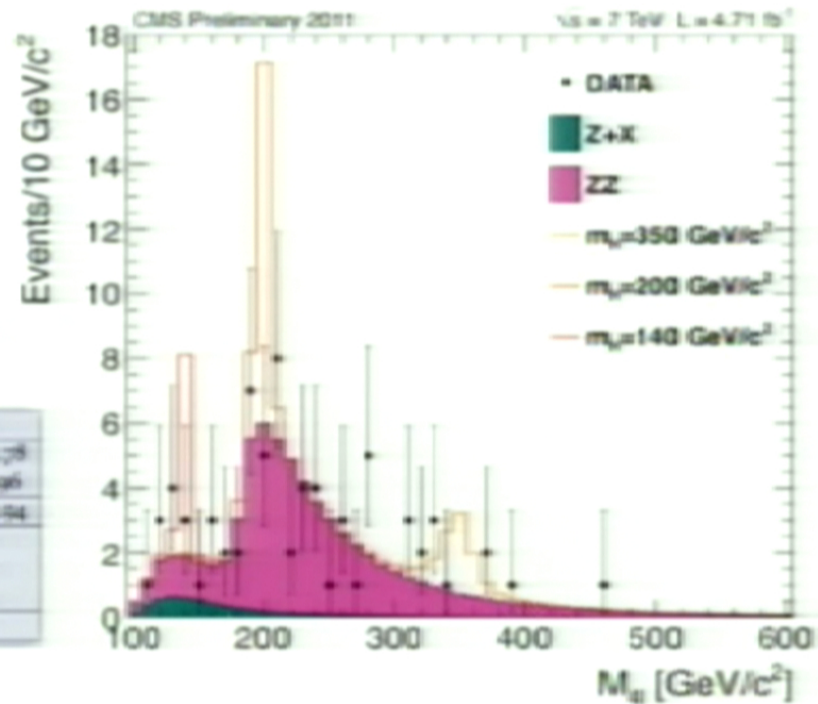
$12 < m_{Z2} < 120 \text{ GeV}$

$m_{4l} > 100 \text{ GeV}/c^2$

Observed events: 72

Expected events: 67.1 ± 6.0

Baseline	4e	4μ	2e2μ
ZZ	12.27 ± 1.16	19.11 ± 1.79	30.25 ± 2.78
Z+X	1.67 ± 0.35	1.13 ± 0.33	2.71 ± 0.96
All background	13.94 ± 1.28	20.24 ± 1.87	32.96 ± 2.94
$m_{H1} = 120 \text{ GeV}/c^2$	0.25	0.62	0.68
$m_{H1} = 140 \text{ GeV}/c^2$	1.32	2.48	3.37
$m_{H1} = 350 \text{ GeV}/c^2$	1.95	2.61	4.54
Observed	12	21	17





Zoom in the low mass

$50 < m_{Z1} < 120 \text{ GeV}$

$12 < m_{Z2} < 120 \text{ GeV}$

$100 < m_{H1} < 160 \text{ GeV}/c^2$

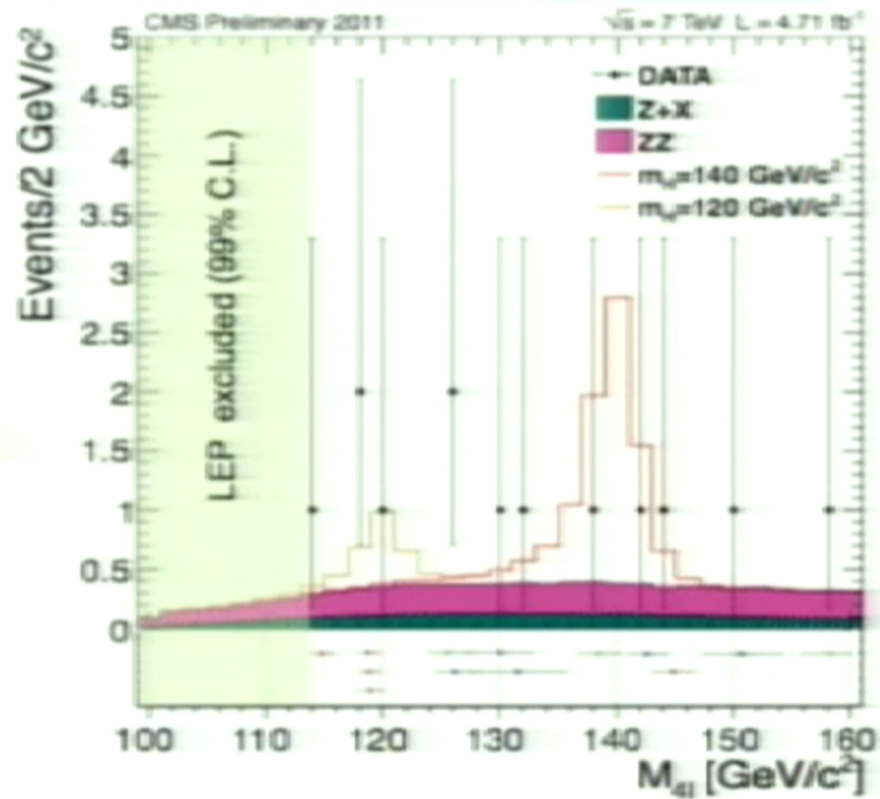
Observed events: 13

Expected events: 9.5 ± 1.3

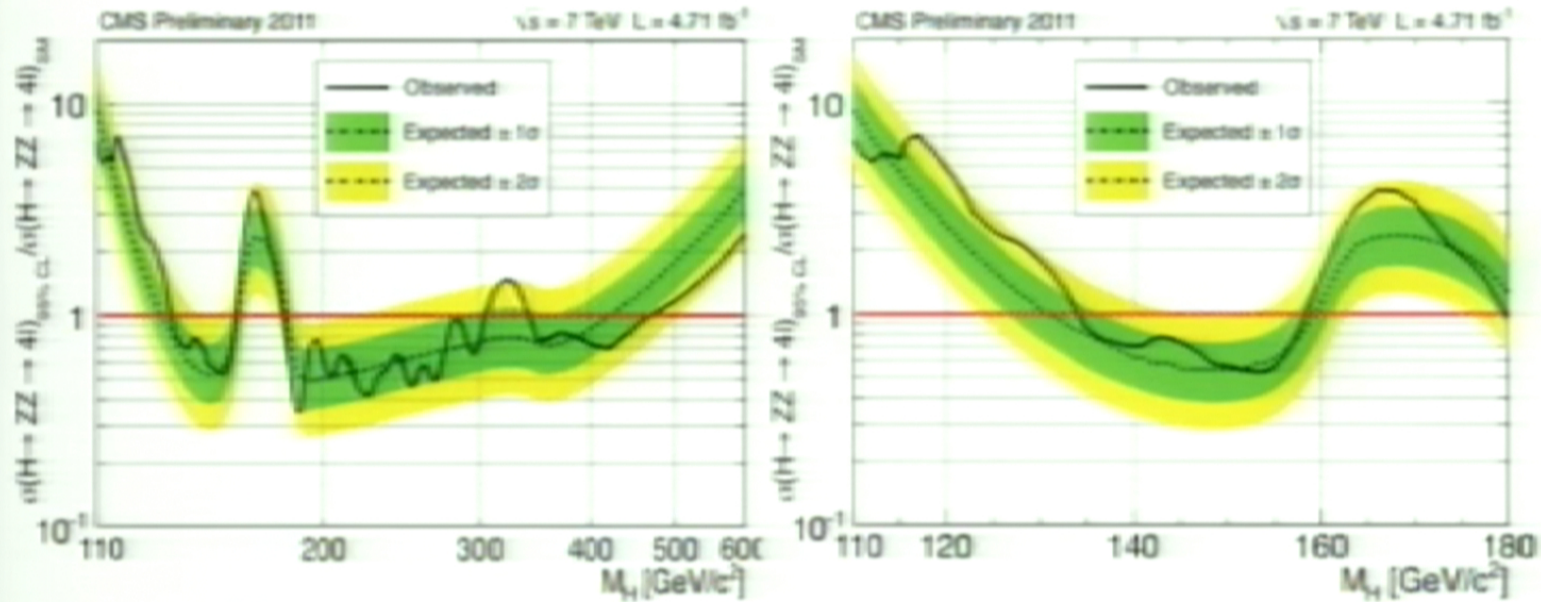
Final state: $4e$ 4μ $2e2\mu$

Obs. events: 3 5 5

Exp. events: 1.7 3.3 4.5

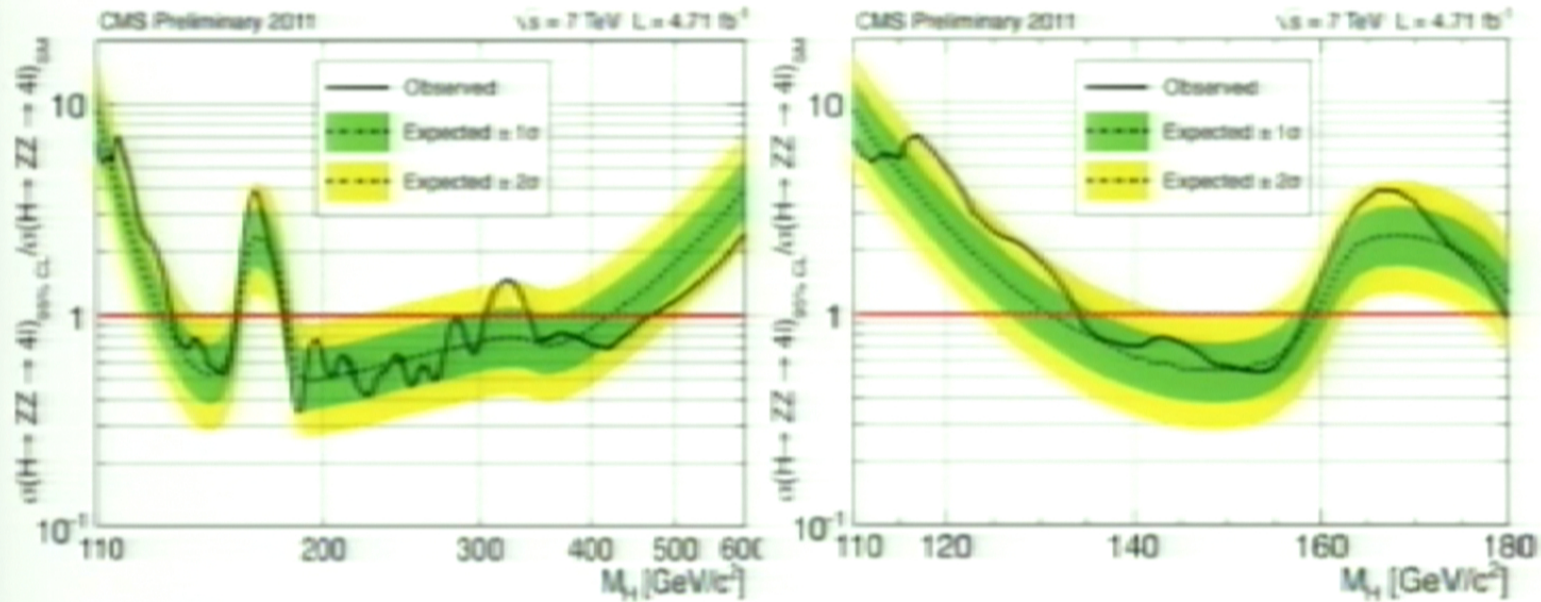


H → ZZ → 4l: 95%CL Excl. Limits



Expected range: $130 < M_H < 160 \text{ GeV}$; $182 < M_H < 420 \text{ GeV}$
 Observed range: $134 < M_H < 158 \text{ GeV}$; $180 < M_H < 305 \text{ GeV}$; $340 < M_H < 460 \text{ GeV}$

H → ZZ → 4l: 95%CL Excl. Limits

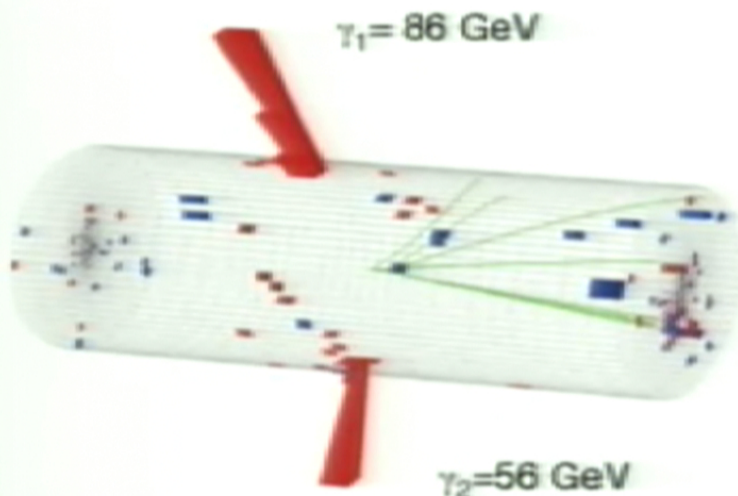


Expected range: $130 < M_H < 160 \text{ GeV}$; $182 < M_H < 420 \text{ GeV}$
 Observed range: $134 < M_H < 158 \text{ GeV}$; $180 < M_H < 305 \text{ GeV}$; $340 < M_H < 460 \text{ GeV}$

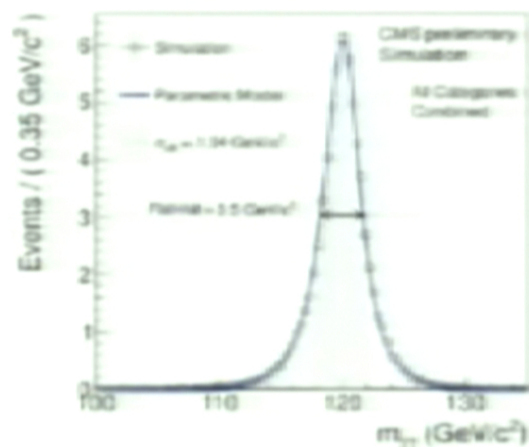
Low Mass Higgs Search : $H \rightarrow \gamma\gamma$

Signal: 2 energetic, isolated γ .
 Search for a narrow mass excess over a smoothly falling background.

Challenges: vertexing with PU, calibrations and transparency corrections for the crystals.



Calibration constants derived from $Z \rightarrow ee$ data



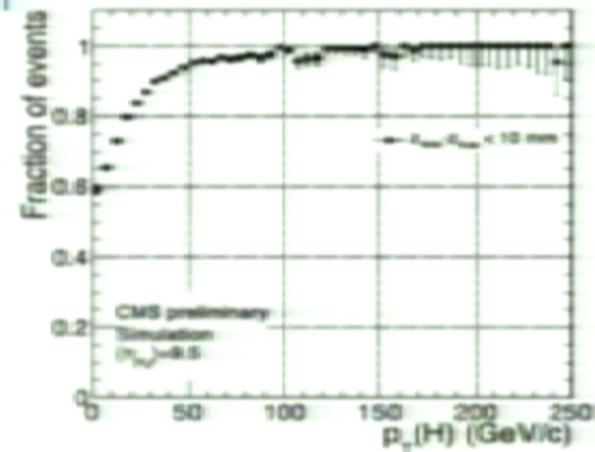
Background: Large and mostly irreducible QCD di-photons. Measured from $M_{\gamma\gamma}$ sidebands in data

Improvements in the $H \rightarrow \gamma\gamma$ analysis

- Vertex ID uses BDT
 - Improved vertex identification (gain \rightarrow 3%)
- Progressive ("sliding") cuts on photon p_T
 - $p_{T1} > m_{H\gamma}/3$, $p_{T2} > m_{H\gamma}/4$
- Cluster energy corrections + new intercalibrations + new transparency corrections
- using the lasers.
 - Improved energy resolution
- p_T^{eff} event classification dropped for SM analysis
 - Remove threshold shaping of mass spectrum
- In order to take advantage of
 - The better signal over background ratio in the central part of the detector
 - The better resolution for central/unconverted photons
- The analysis is performed simultaneously in 4 categories (R9 is a metric of the shower transverse size: $R9 = E_{3 \times 3 \text{ array}} / E_{\text{super-cluster}}$ - It discriminates unconverted from converted photons)
 - Both photons in the Barrel, $\min(R9) > 0.94$
 - Both photons in the Barrel, $\min(R9) < 0.94$
 - At least one photon in Endcap, $\min(R9) > 0.94$
 - At least one photon in Endcap, $\min(R9) < 0.94$
- Better parameterization of background shape.

Improvements in Vertex finding Efficiency

- Training BDT using input variables computed from
 - Track momenta
 - Photon kinematics
- BDT improves correct vertex selection efficiency by 3% with respect to ranking algorithm used in EPS/LP analyses.
- 'Correct vertex' is defined as being within 10mm of true vertex z position
- Vertex finding efficiency
 - From $Z \rightarrow \mu\mu$ and γ + jets
 - Photon Selection efficiency
 - From $Z \rightarrow ee$



2011A	2011B	2011
86.3% \pm 0.2% \pm 0.4%	79.8% \pm 0.2% \pm 0.5%	83.0% \pm 0.2% \pm 0.4%

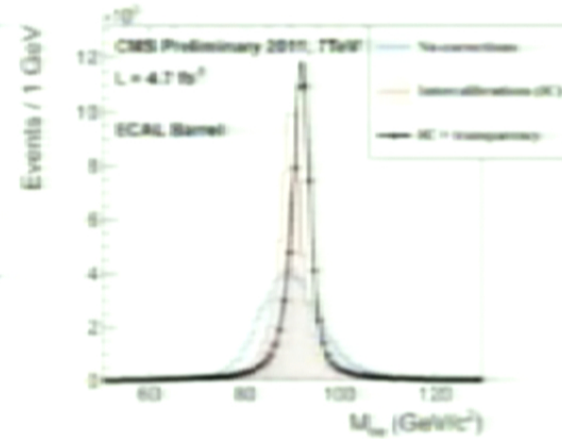
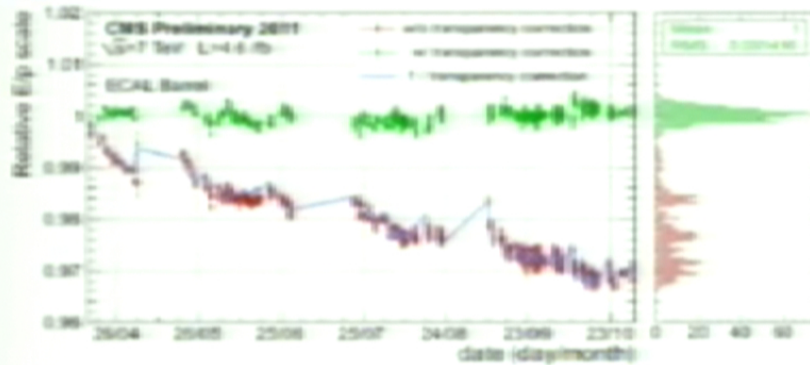


Improvements in Photon Energy Resolution

- Comprehensive energy resolution studies made with $Z \rightarrow ee$, $W \rightarrow e\nu$ and E/p , π^0 intercalibrations and laser signals for transparency corrections

Effect of new laser corrections and intercalibration on barrel-barrel $Z \rightarrow ee$
 Resolution in data improves typically by 10%, EB, $|\eta| > 1$, $R9 > 0.94$

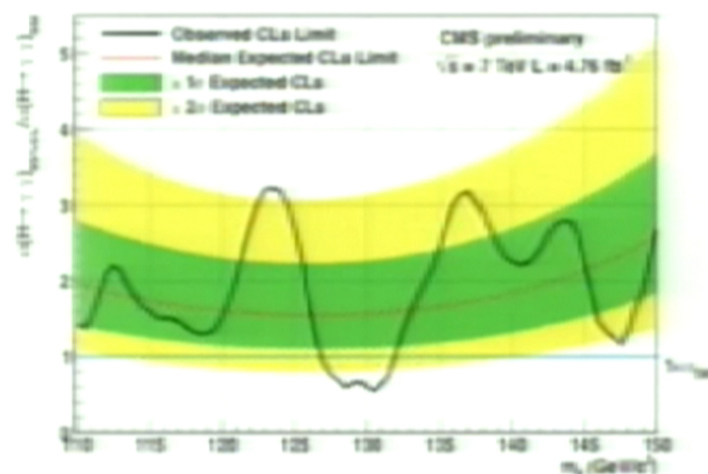
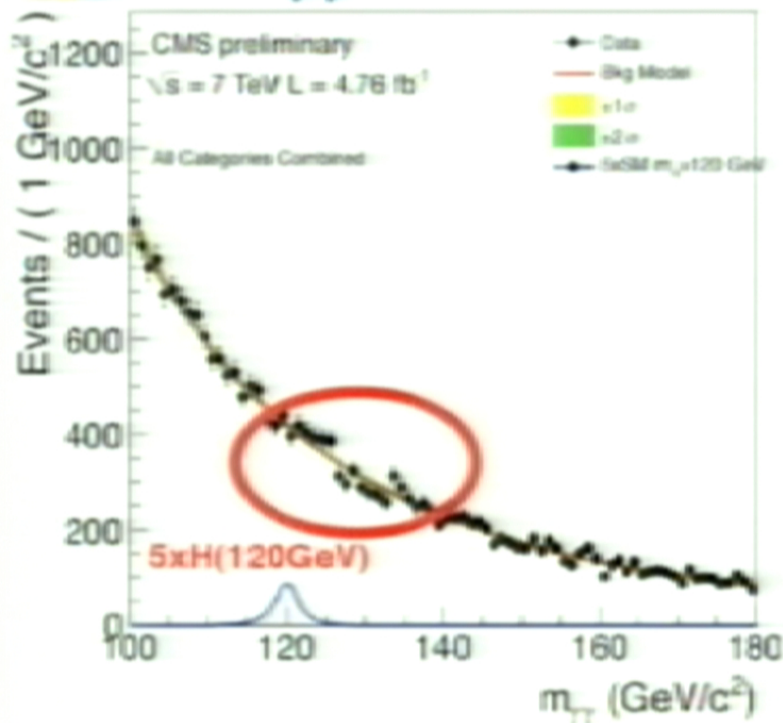
Instrumental contribution to the mass resolution in the best EB category is 0.99 ± 0.01 GeV



Energy scale for $W \rightarrow e\nu$ and $Z \rightarrow ee$ stable throughout 2011 at the level of 0.1 GeV.

EB inter-calibration and transparency correction fully understood for EB for the entire 2011 data set.

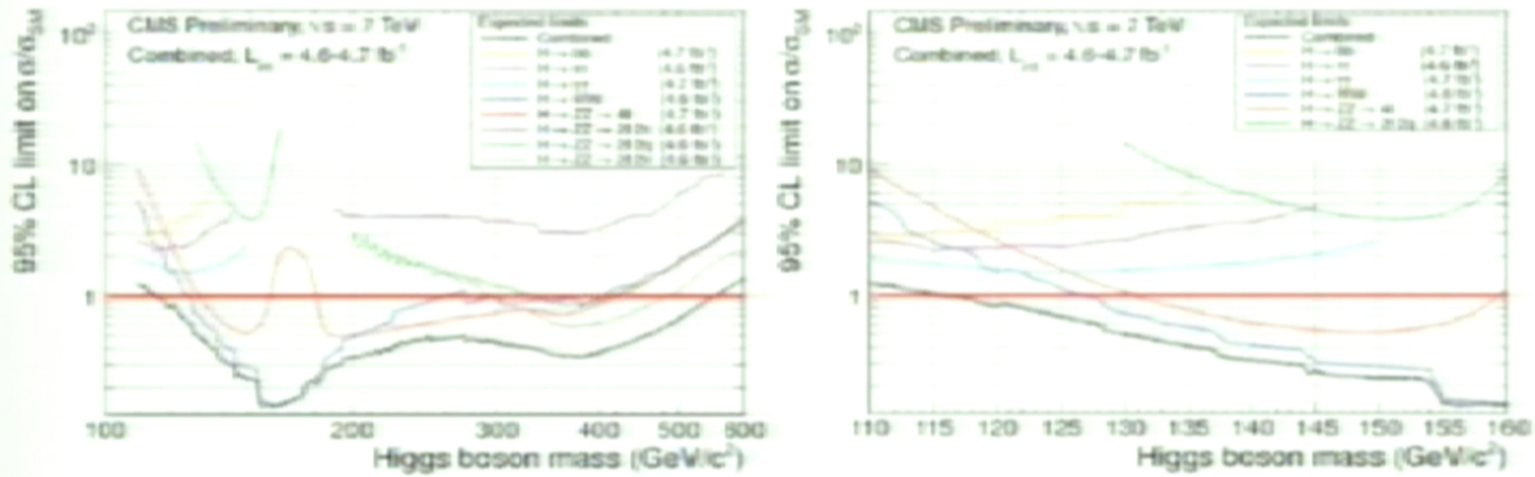
H → γγ: data and exclusion limits



A lot of studies on the background fit model. Is the structure/shape of the observed limit due to the chosen background model? No – this has been shown to not be the case.

Using 5th order polynomial fit to background: some loss in sensitivity but negligible bias.

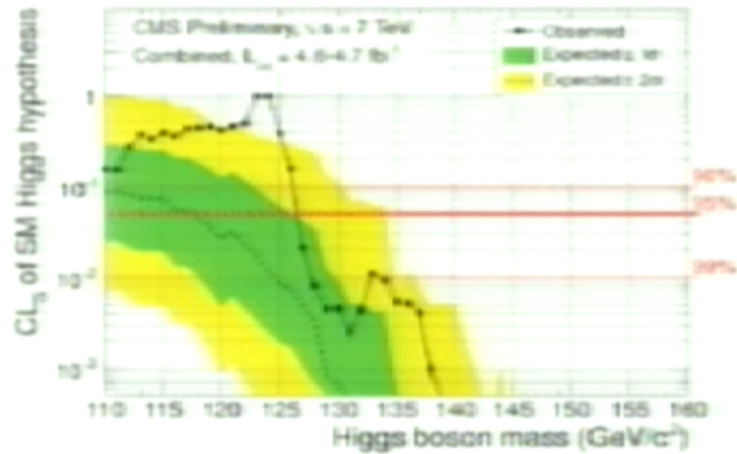
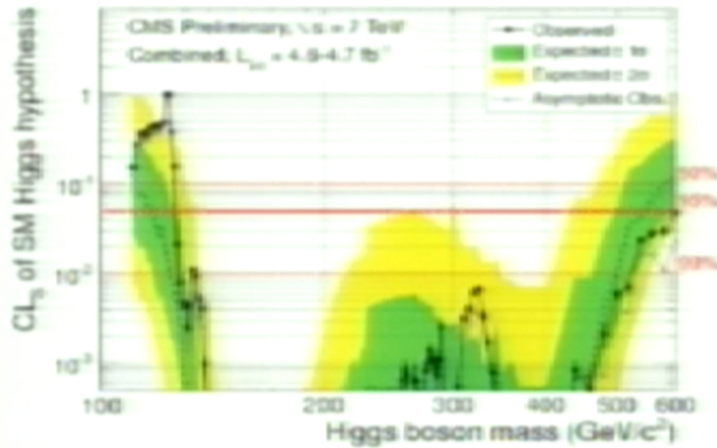
CMS expected sensitivity @4.7fb⁻¹



Very close or better than 1xSM in the full mass range.
 Optimization of some analyses still ongoing.
 Additional sub-channels under study.

Met the expectations set at the end of 2010.

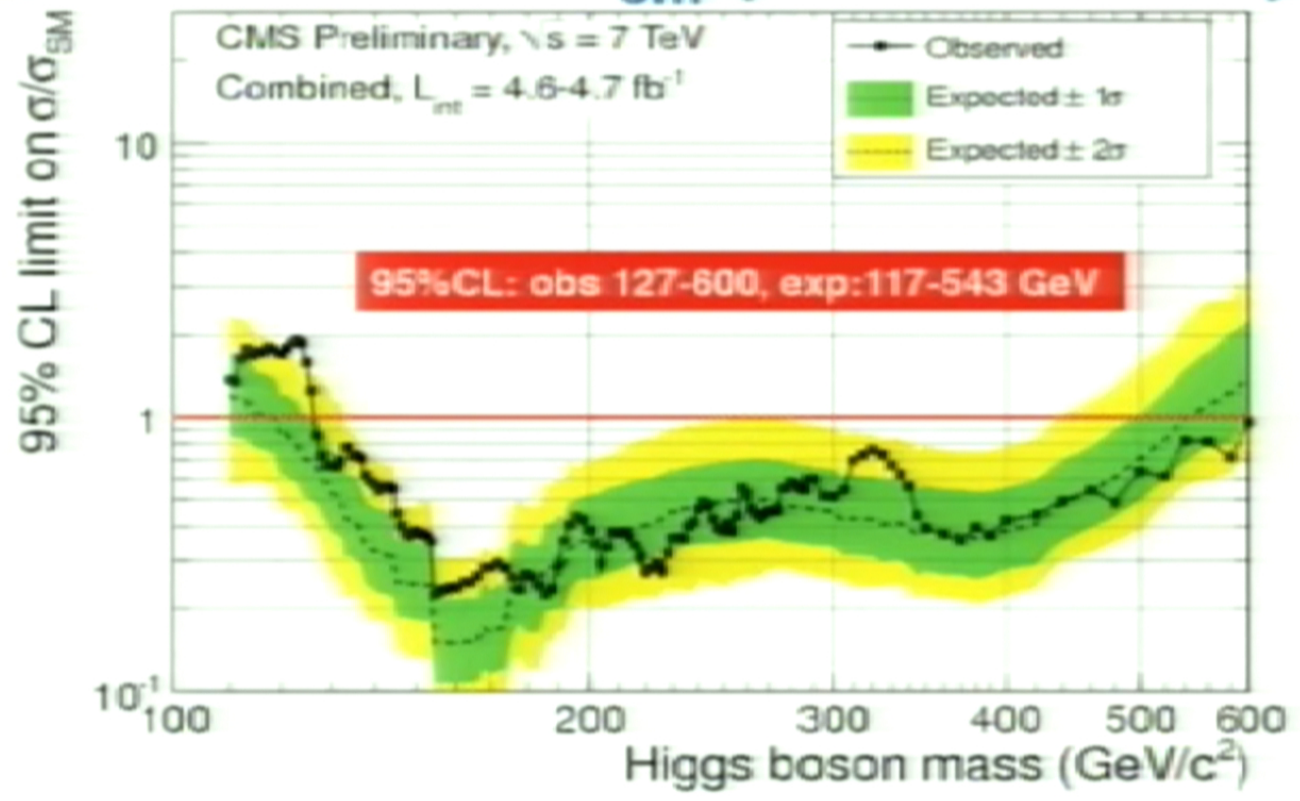
CLs for SM Higgs



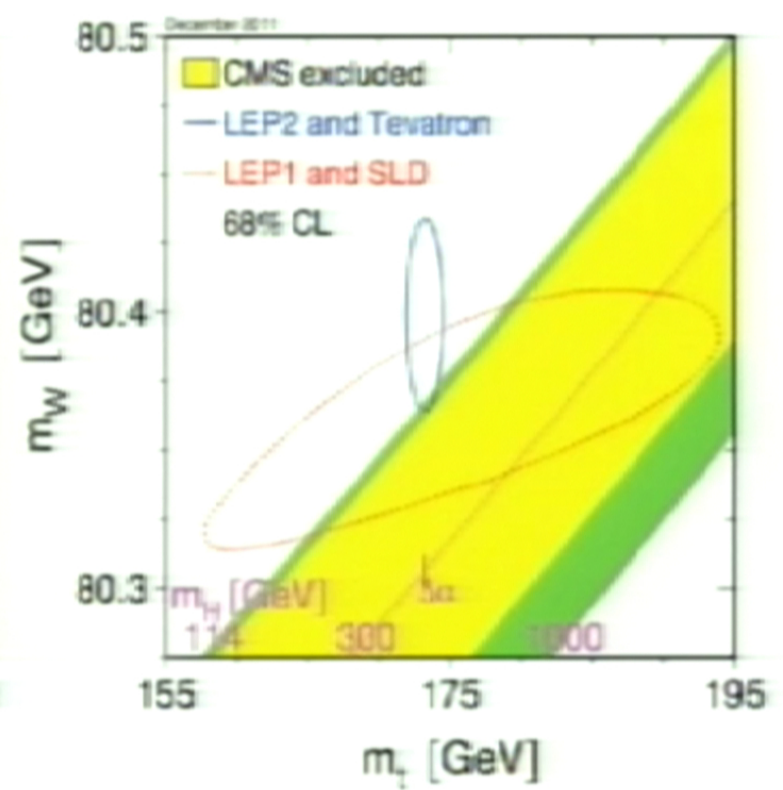
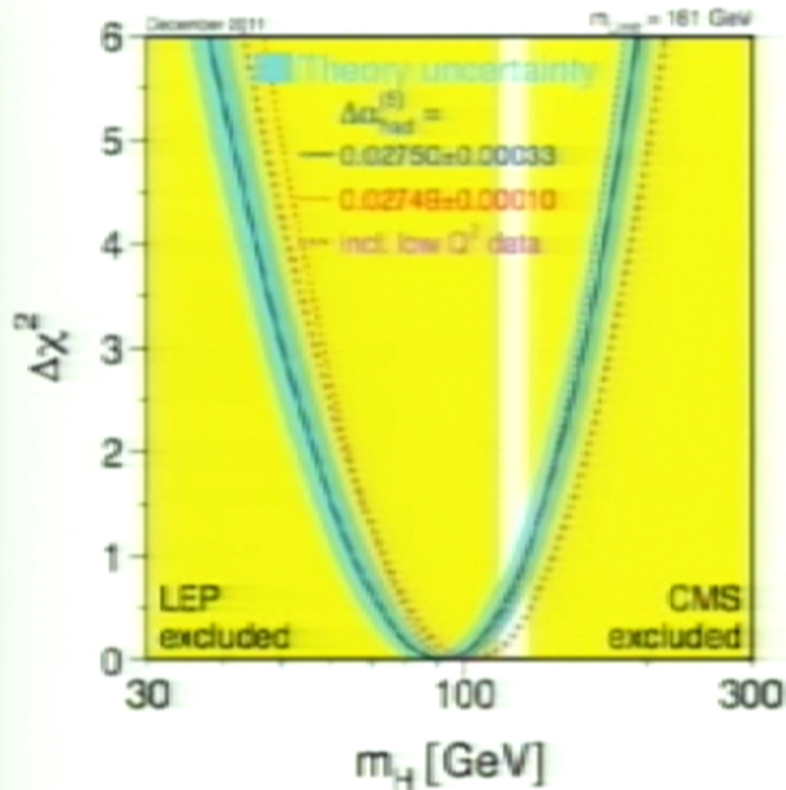
Preliminary 95 and 99%CL exclusion limits

95% CL: obs 127-600, exp:117-543
 99% CL: obs 128-525, exp:125-500

Limits on σ/σ_{SM} (CLs method)

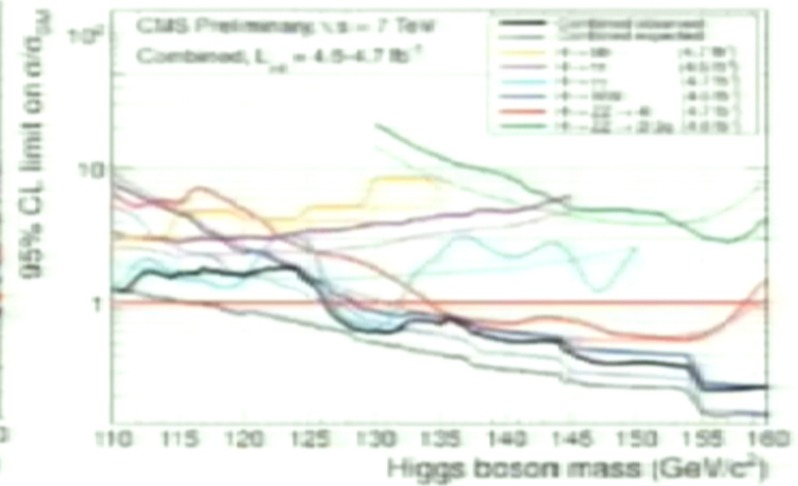
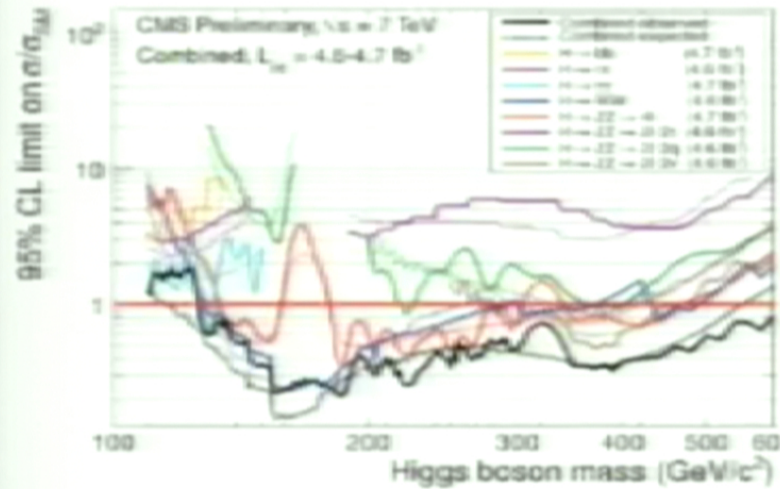


Freshly squeezed EWK plots



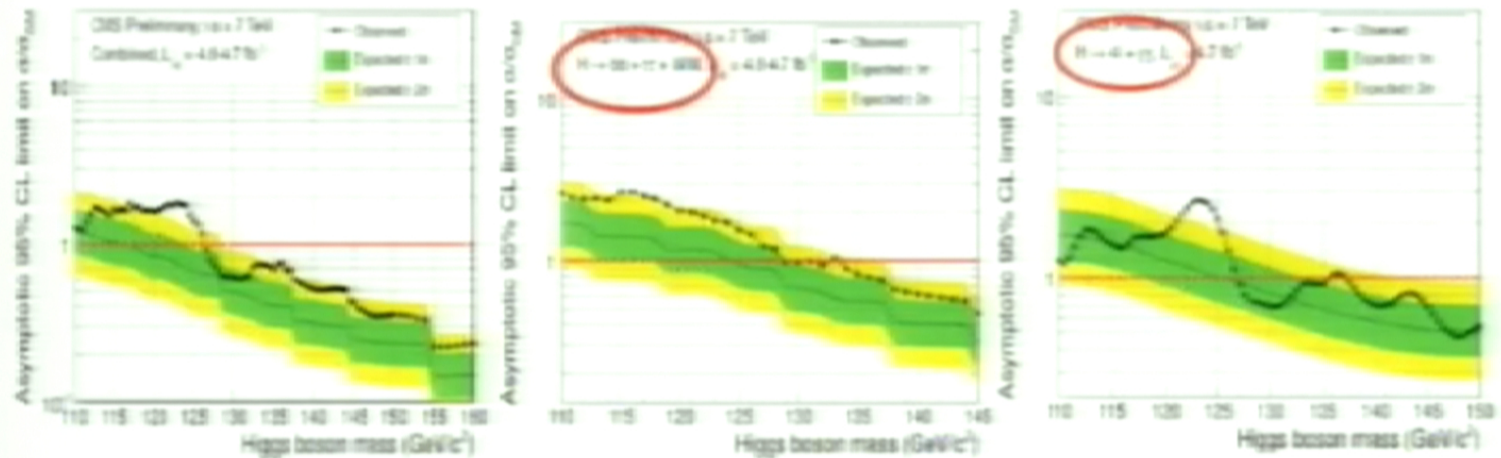
Limits by channel

Solid line = Observed limit ; Dashed line = Median Expected



(Asymptotic CLs only)

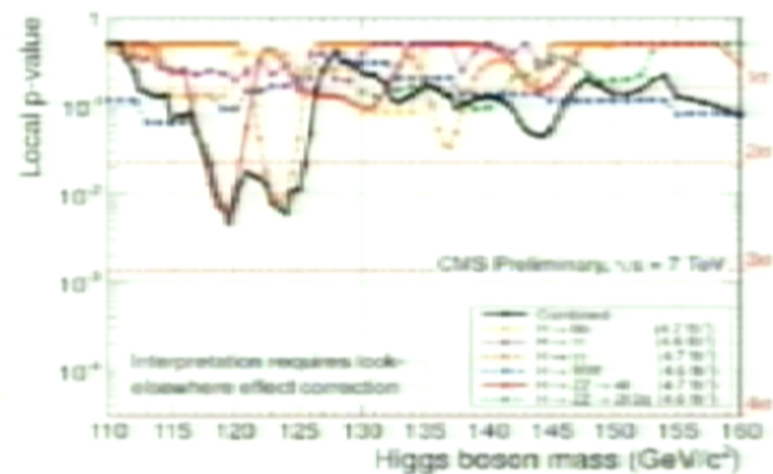
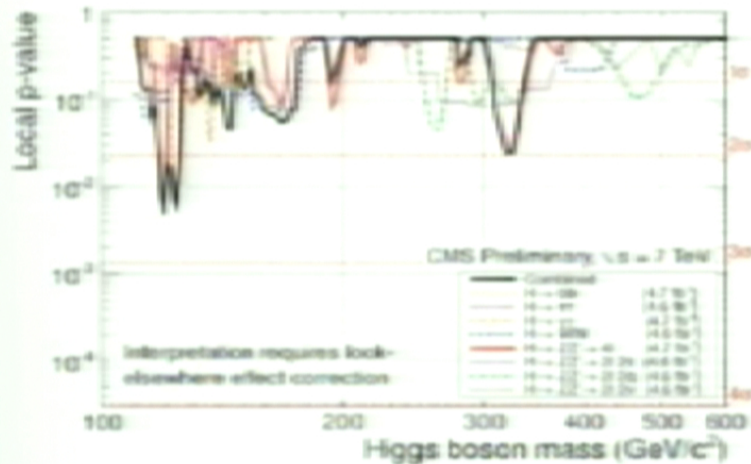
Zoom in the low mass region



We cannot exclude the presence of the SM Higgs boson below 127GeV because of a modest excess of events in the region between 115 and 127GeV.

The excess at low mass is produced by a broad excess driven by the low resolution channels (H2TT, H2WW, H2BB, center), modulated by the localized excesses seen by the high resolution channels (H2GG and H2ZZ, right).

Anatomy of an excess: local and global p-values



Maximum local significance **2.6σ**.

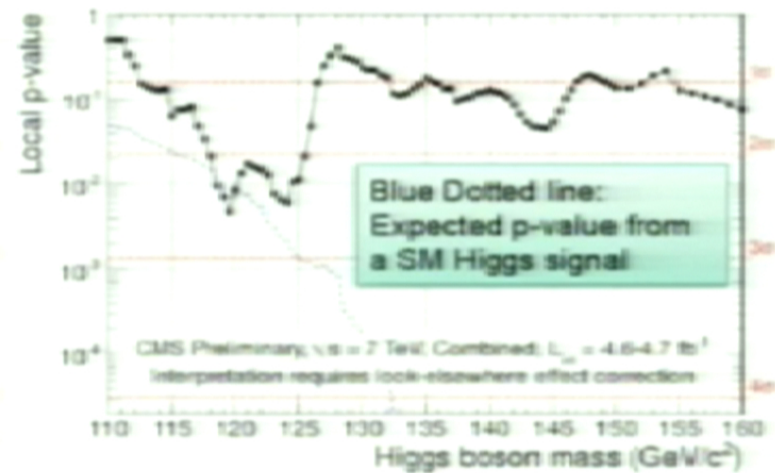
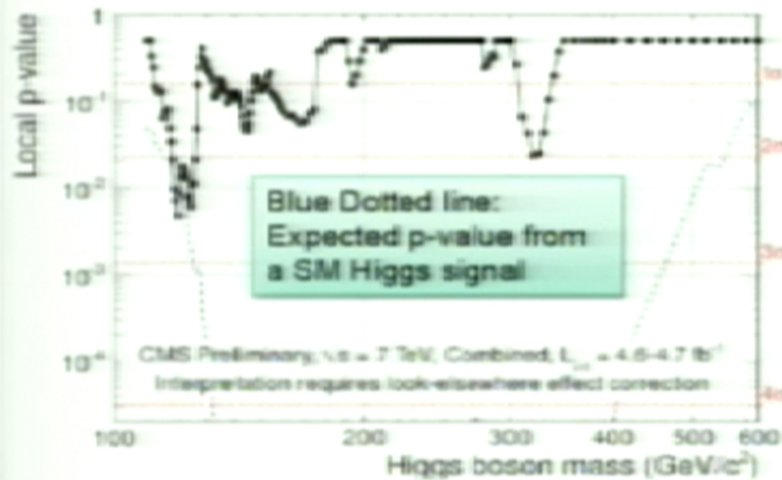
LEE-corrected significance (full mass range: 110-600GeV)= **0.6σ**

LEE-corrected significance (low mass range: 110-145GeV)= **1.9σ**

The excess we see in the low mass region has a modest statistical significance and could be reasonably a fluctuation of the background.



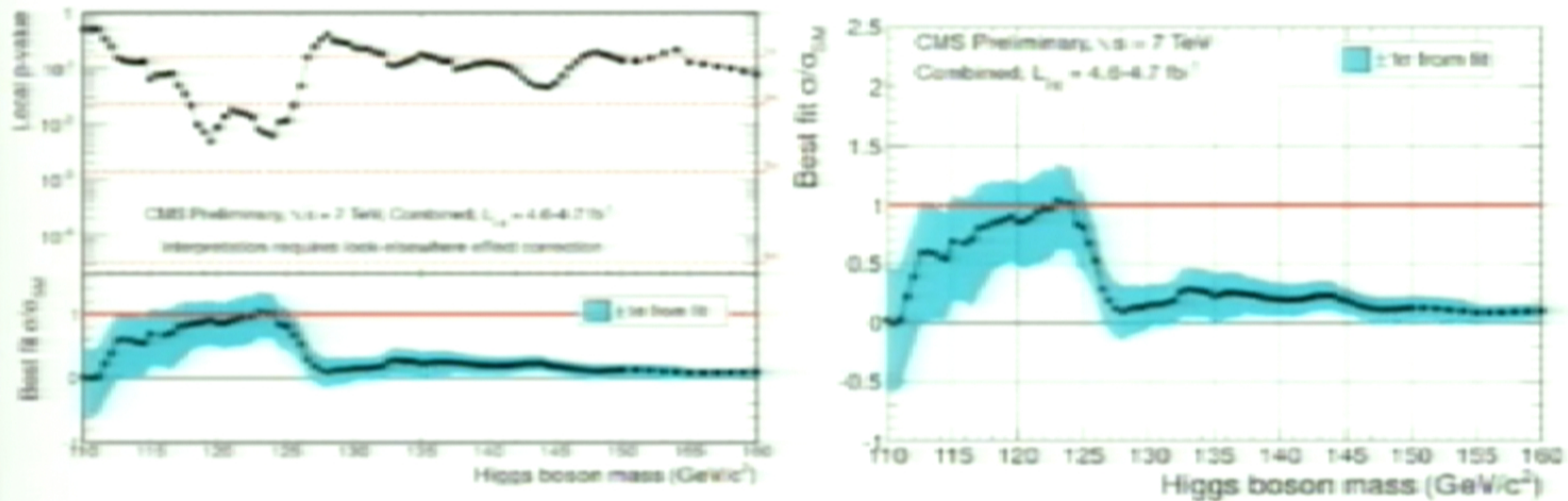
Anatomy of an excess: Observed and Expected



The only region where the observed p-value seems to be compatible with the expected p-value from a SM Higgs is the low mass region.

In this region a SM Higgs boson is expected to yield a modest p-value
(2-3 σ median value in the range 115-127GeV)

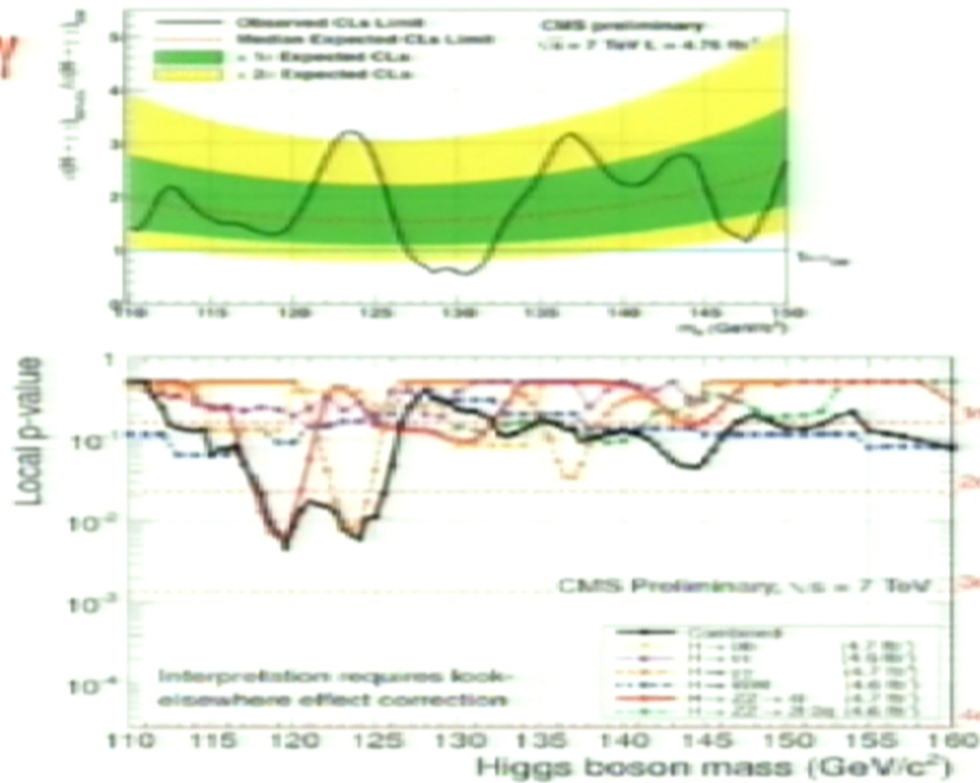
Anatomy of an excess: best fit σ/σ_{SM}



**Fitted σ/σ_{SM} compatible with 1 in the full low mass range.
Median value touching 1 at a mass of 124 GeV and below.**

Anatomy of an excess: the high resolution channels

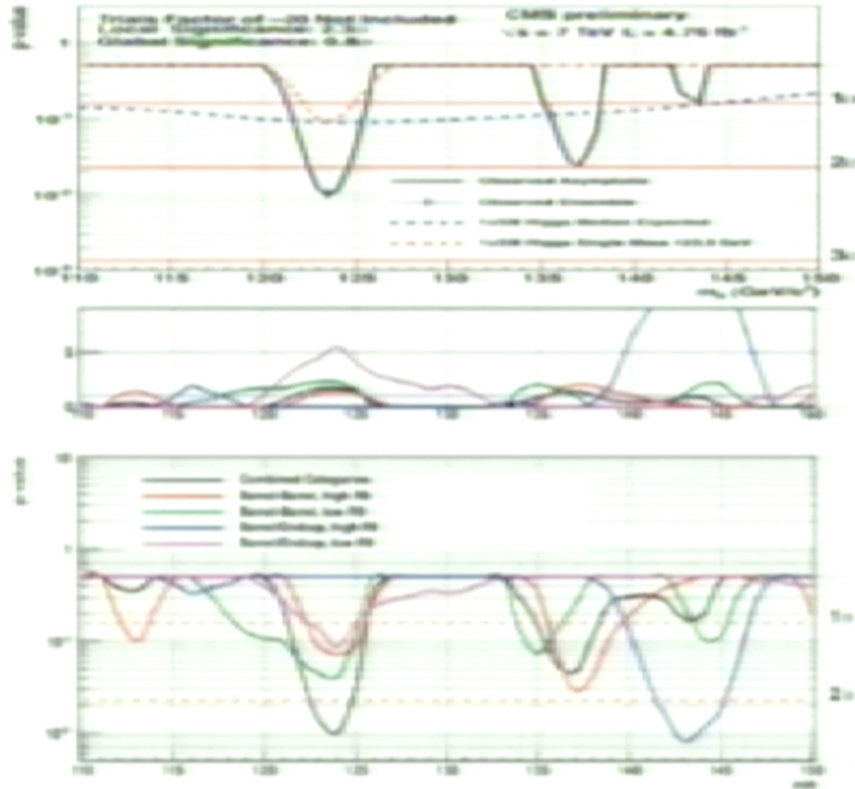
$H \rightarrow \gamma\gamma$





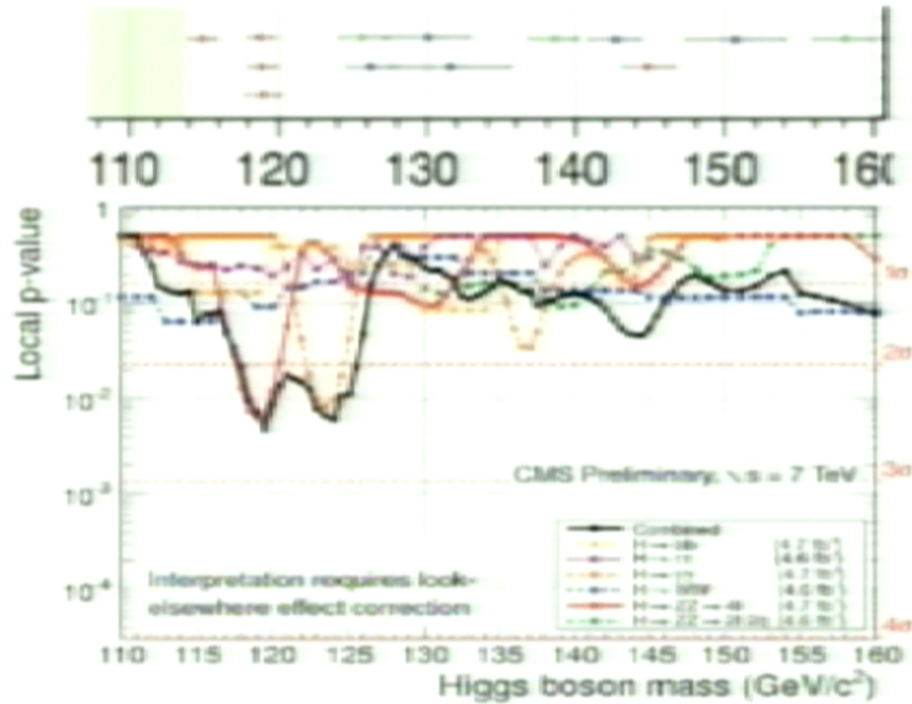
Anatomy of an excess: the high resolution channels

$H \rightarrow \gamma\gamma$



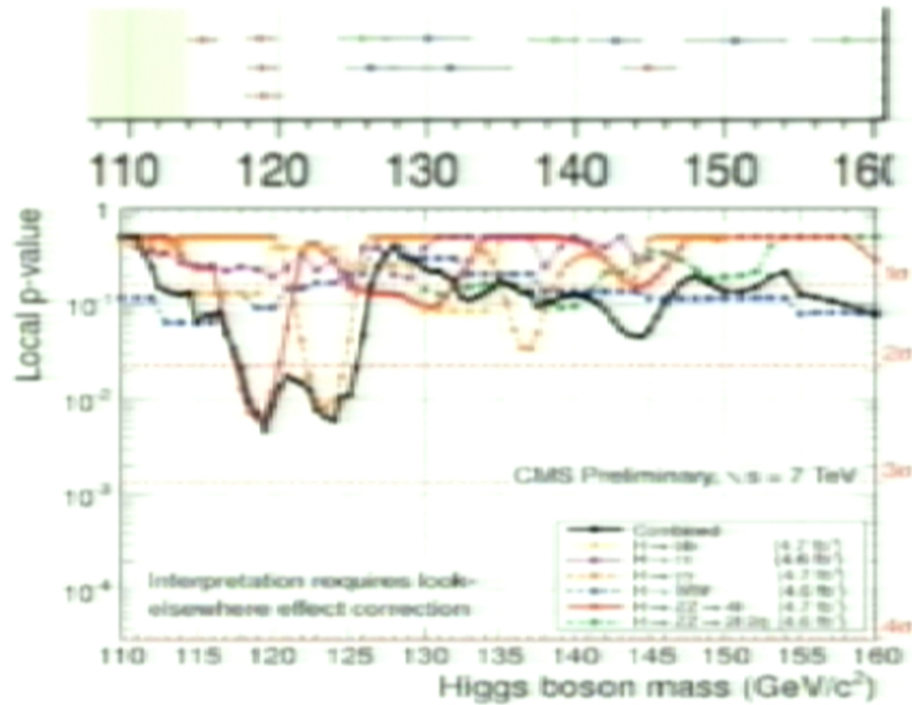
Anatomy of an excess: the high resolution channels

$$H \rightarrow ZZ \rightarrow 4l: 4e, 4\mu, 2e2\mu$$

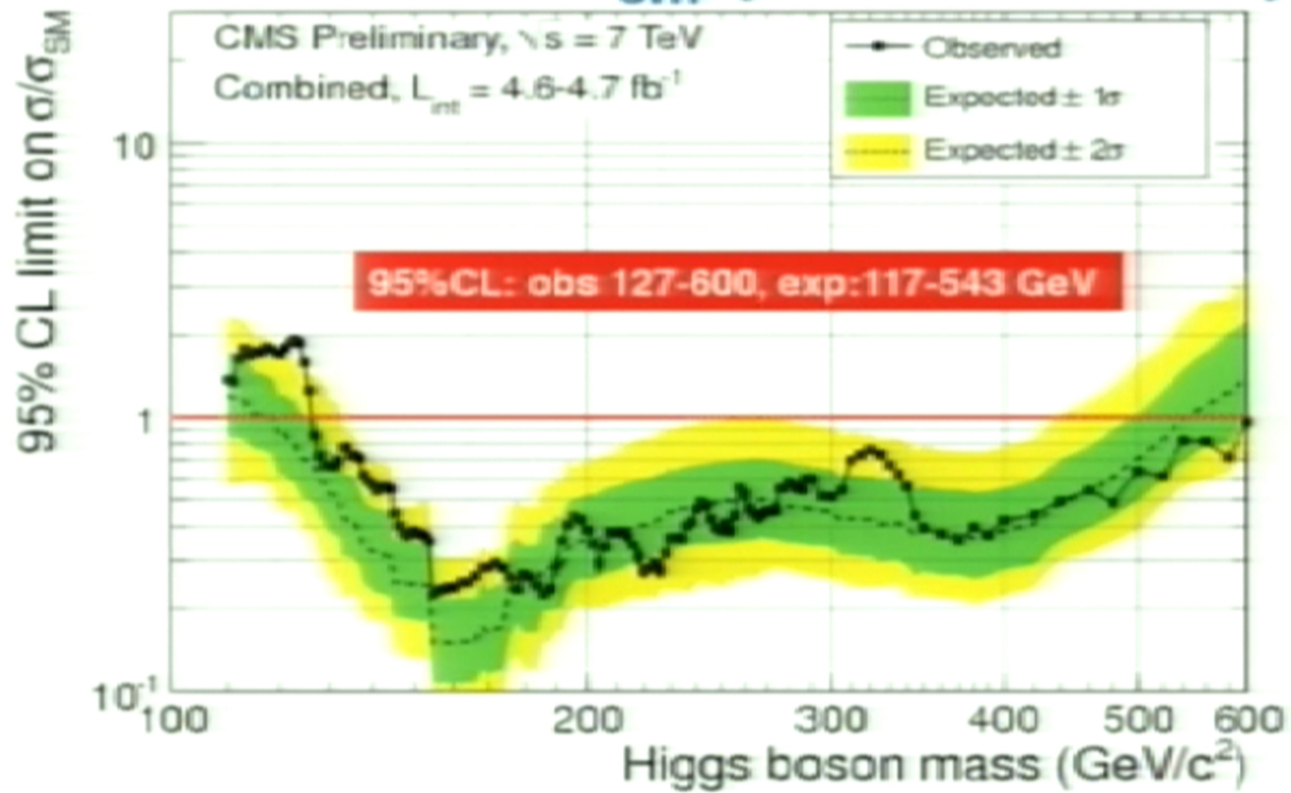


Anatomy of an excess: the high resolution channels

$$H \rightarrow ZZ \rightarrow 4l: 4e, 4\mu, 2e2\mu$$



Limits on σ/σ_{SM} (CLs method)





Summary.

- We have been able to analyse very quickly the full data set collected in 2011 and to present here a comprehensive set of preliminary results.
- Final results and submission of papers are expected around the end of January (new additional channels, refined analyses).
- **We have reached the expected sensitivity (around or better than 1xSM) in the full mass range of our current exploration (115GeV-600 GeV).**
- We have established **new 95% CL exclusion limits: 127GeV-600GeV.**
- We are not able to exclude the presence of the SM Higgs below 127GeV since we observe in our data **a modest excess of events between 115 and 127GeV that appears, quite consistently, in five independent channels.**
- **The excess is most compatible with a SM Higgs hypothesis in the vicinity of 124 GeV and below, but the statistical significance (2.6 σ local and 1.9 σ global after correcting for the LEE in the low mass region) is not large enough to say anything conclusive.**
- As of today what we see is consistent either with a background fluctuation or with the presence of the SM Higgs boson.
- Refined analyses and additional data in 2012 will definitely give an answer.



Conclusion

- **Many thanks** to the thousand of people that contributed to the success of the CMS experiment, from the conceptual design throughout the construction, commissioning and operation of our magnificent detector.
- **Many thanks** to the hundreds of analysers, software and computing experts that worked so hard to produce these complete set of results just a few weeks after the end of 2011 data taking.
- **Many thanks** to Steve Myers and the whole LHC team for having delivered to the experiments an integrated luminosity exceeding our most optimistic expectations.