

Title: New CP violating observables for the LHC

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Abstract: I discuss new types of CP violating observables that arise in three body decays that are dominated by an intermediate resonance. If two interfering diagrams with different orderings of the final state particles exist, the required CP even phase arises due to the different virtualities of the resonance in each of the two diagrams. Using momentum asymmetries, I demonstrate that CP violation can be seen in this way at the LHC and future colliders.

# New $CP$ observables for the LHC

Joshua Berger

Cornell University

November 25, 2011

J.B., Monika Blanke, Yuval Grossman: 1105.0672

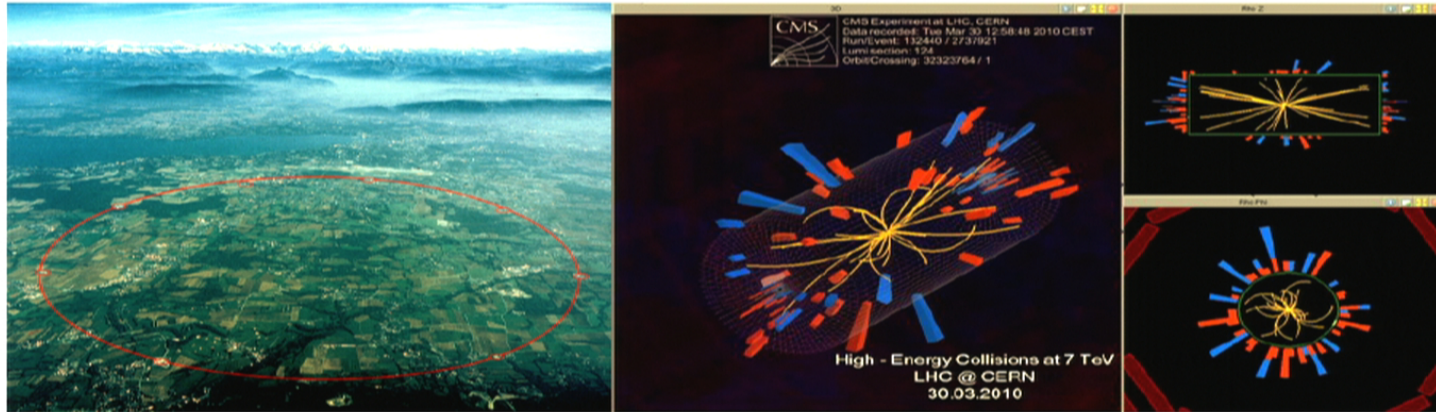
J.B., Monika Blanke, Yuval Grossman, Shamayita Ray: 1112.xxxx

# Today's menu

1. Motivation
2.  $CP$  violation without mixing
3. Exploiting phase space
4. A SUSY example
5. Conclusions

# Motivation

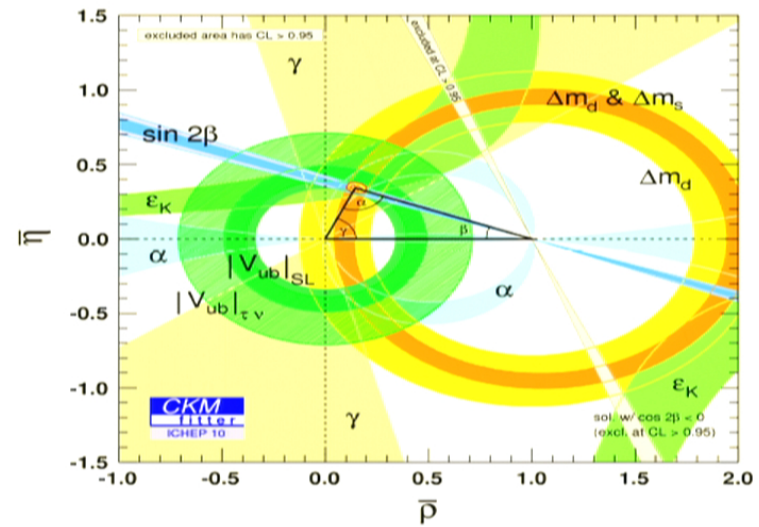
# Can we see $CP$ directly at the LHC?



- ▶ Step 1: Discover new states
- ▶ Step 2: Measure masses and spins
- ▶ Step 3: Determine couplings, flavor,  $CP$

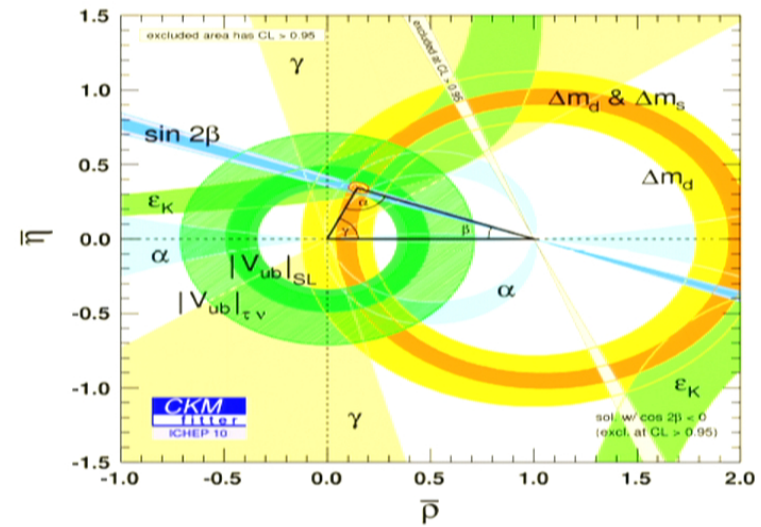
# State of the art

- ▶ No significant deviations
- ▶ The SM works



## State of the art

- ▶ No significant deviations yet
  - ▶  $3\sigma$ 's in the  $B$  sector  
(Now  $D$  sector too!)
- ▶ The SM works too well
  - ▶  $\Lambda_{\text{NP}} \gtrsim 10^5 \text{ TeV}$







# Why are there so many atoms?

Sakharov says:

- ▶  $B$ -number violation
- ▶  $C$  &  $CP$  violation
- ▶ Out-of-equilibrium dynamics



SM falls short  $\implies$  new sources of  $CP$

$$\eta_{\text{obs}} \sim 10^{-10} \quad \text{vs.} \quad \eta_{\text{SM}} \sim 10^{-19}$$

## Seeing $\mathcal{CP}$

- ▶  $\mathcal{CP}$  enters as CP-odd phases in Lagrangian
- ▶ TeV theories usually have new CP-odd phases
- ▶ Observation requires CP-even (strong) phases
- ▶ Challenge: large, calculable CP-even phases

## The CP challenge

$$\mathcal{A} = \frac{\Gamma - \bar{\Gamma}}{\Gamma + \bar{\Gamma}}$$

First try

$$\mathcal{M} = ae^{i\phi} \quad \overline{\mathcal{M}} = ae^{-i\phi}$$

$$|\mathcal{M}|^2 - |\overline{\mathcal{M}}|^2 = 0$$

## The CP challenge

$$\mathcal{A} = \frac{\Gamma - \bar{\Gamma}}{\Gamma + \bar{\Gamma}}$$

Second try

$$\mathcal{M} = a_1 e^{i\phi_1} + a_2 e^{i\phi_2} \quad \overline{\mathcal{M}} = a_1 e^{-i\phi_1} + a_2 e^{-i\phi_2}$$

$$|\mathcal{M}|^2 - |\overline{\mathcal{M}}|^2 = 0$$

## The CP challenge

$$\mathcal{A} = \frac{\Gamma - \bar{\Gamma}}{\Gamma + \bar{\Gamma}}$$

$$\mathcal{M} = a_1 e^{i\phi_1 + i\delta_1} + a_2 e^{i\phi_2 + i\delta_2} \quad \bar{\mathcal{M}} = a_1 e^{-i\phi_1 + i\delta_1} + a_2 e^{-i\phi_2 + i\delta_2}$$

$$|\mathcal{M}|^2 - |\bar{\mathcal{M}}|^2 \propto a_1 a_2 \sin(\phi_1 - \phi_2) \sin(\delta_1 - \delta_2)$$

Three requirements:

1. Two contributing amplitudes
2. Different *CP-odd* phases:
3. Different *CP-even* phases

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Three requirements:

1. Two contributing amplitudes
2. Different *CP*-odd phases:
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## $CP$ -even phases?

- ▶ Unstable state gives

$$e^{iEt - \Gamma t/2} \quad \text{or} \quad \frac{i}{q^2 - m^2 + im\Gamma}$$

- ▶ Rescattering: Hard to calculate
- ▶ Mixing: Requires mixing with  $\Delta m \sim \Gamma$
- ▶ Triple product  $\implies i\epsilon p_1 p_2 p_3 p_4$

## The main ideas

A new CP-even phase from different  $q^2$

$$\frac{i}{q^2 - m^2 + im\Gamma}$$

- ▶ When do we have this phase?
  - ▶ Three-body decays
  - ▶ Two different orderings
  - ▶ On-shell resonance
- ▶ How can we see this phase?
  - ▶ Use momentum asymmetries
  - ▶ Feasible at the LHC?



CP-even phases without mixing

## The setup

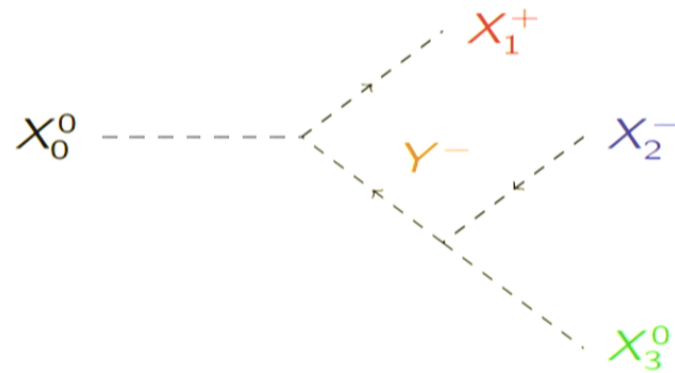
- ▶ Three body decay via single resonance
  - ▶ No mixing
- ▶ Weak coupling
  - ▶ Breit-Wigner approximation
- ▶ Narrow, but not too narrow
  - ▶ Resonance can be slightly off-shell
  - ▶ Time dependence not an issue

# Toy model!



# The roster

- ▶ Scalars are easy

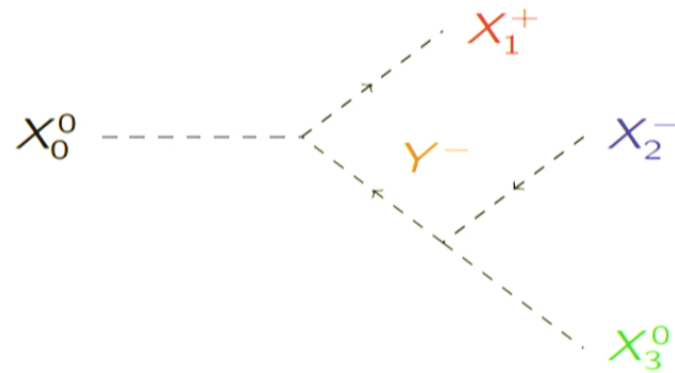


- ▶ Phase space  $\implies$  Scale hierarchy:

$$m_{X_0} > m_Y + m_{X_{1,2}}, \quad m_Y > m_{X_{1,2}} + m_{X_3}$$

# The roster

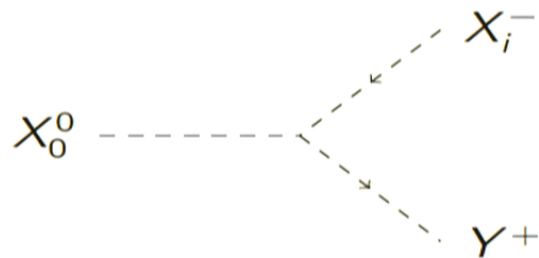
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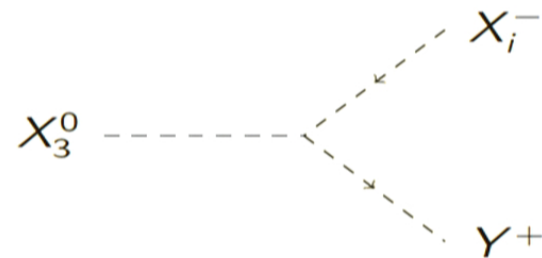
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## The interactions



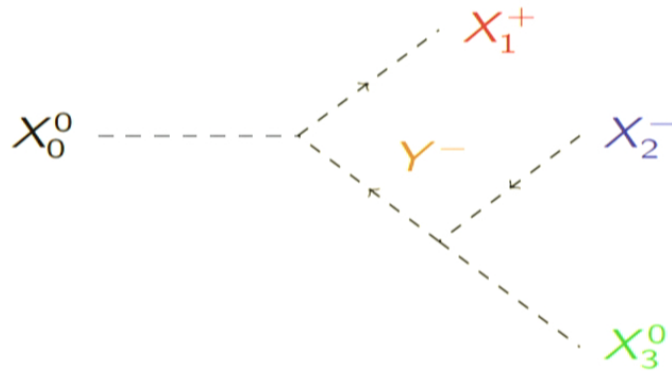
$$= -iae^{i\varphi_a}$$



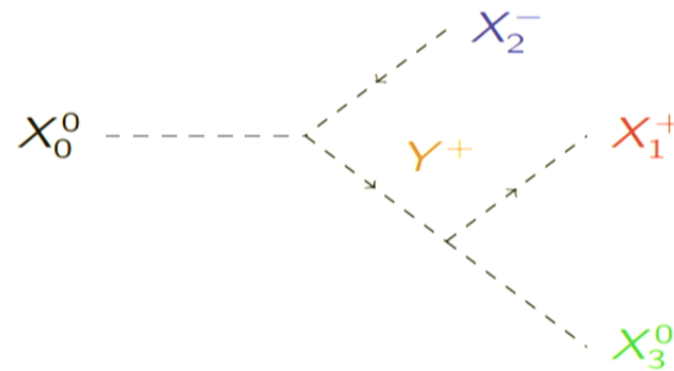
$$= -ibe^{i\varphi_b}$$

- ▶ One **CP-odd** phase:  $\varphi = \varphi_b - \varphi_a$

## The game plan



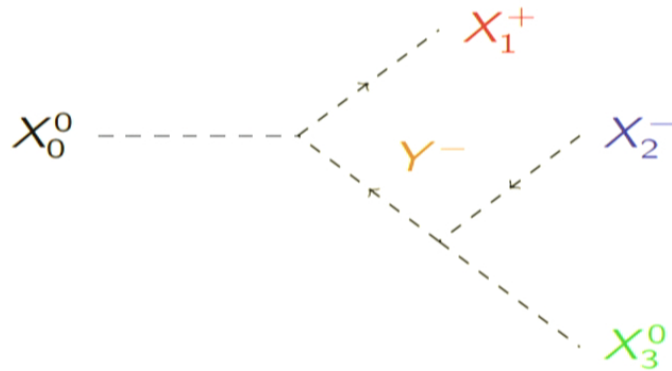
$$= \frac{|a||b|e^{i\varphi}}{q_{23}^2 - m_Y^2 + im_Y\Gamma_Y}$$



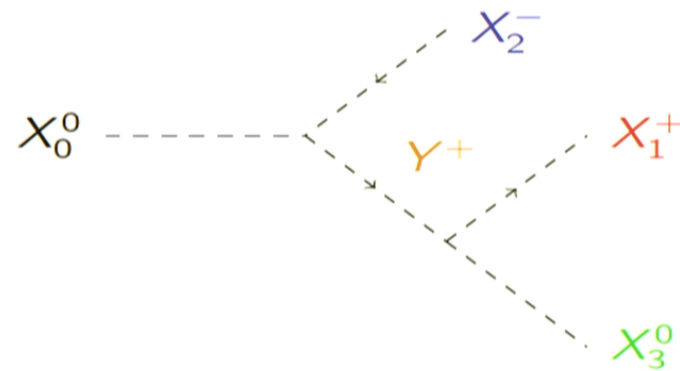
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Different **CP-odd phase**, different **CP-even phase**

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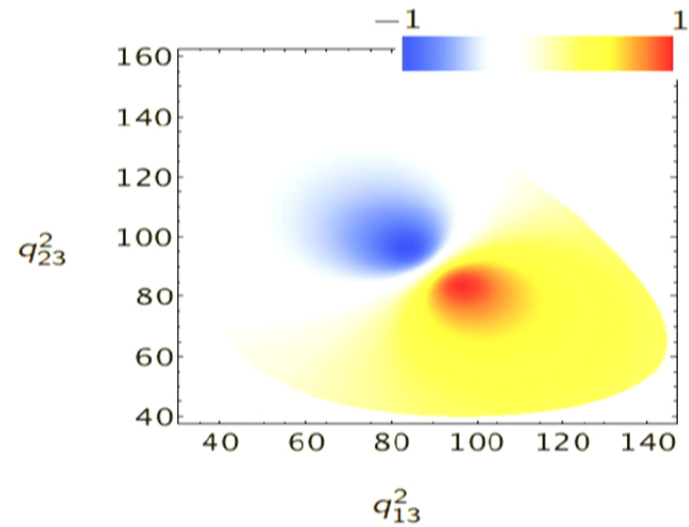


## What can we measure?

$$\text{▶ } \mathcal{A}_{CP}^{\text{diff}} = \frac{\frac{d\Gamma}{dq_{13}^2 dq_{23}^2} - \frac{d\bar{\Gamma}}{dq_{13}^2 dq_{23}^2}}{\frac{d\Gamma}{dq_{13}^2 dq_{23}^2} + \frac{d\bar{\Gamma}}{dq_{13}^2 dq_{23}^2}}$$

$$\text{▶ } \mathcal{A}_{CP}^{\text{int}} = \frac{\Gamma - \bar{\Gamma}}{\Gamma + \bar{\Gamma}}$$

- ▶ Suppressed by  $\Delta m_{12}^2/m_0^2$

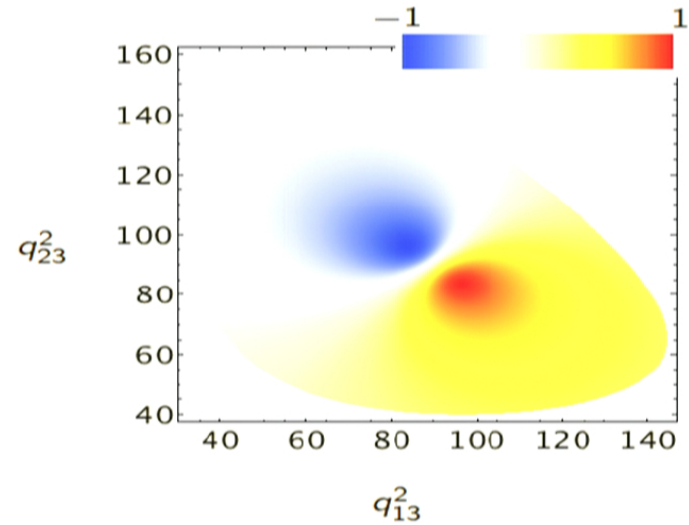


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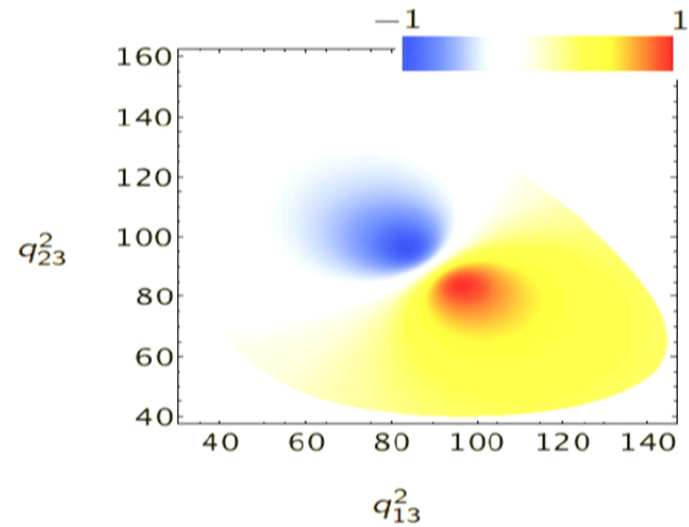


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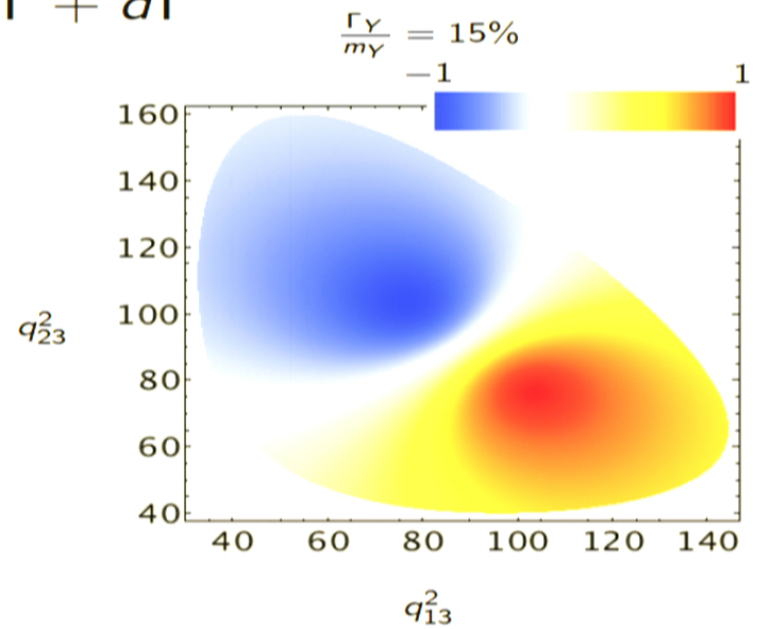
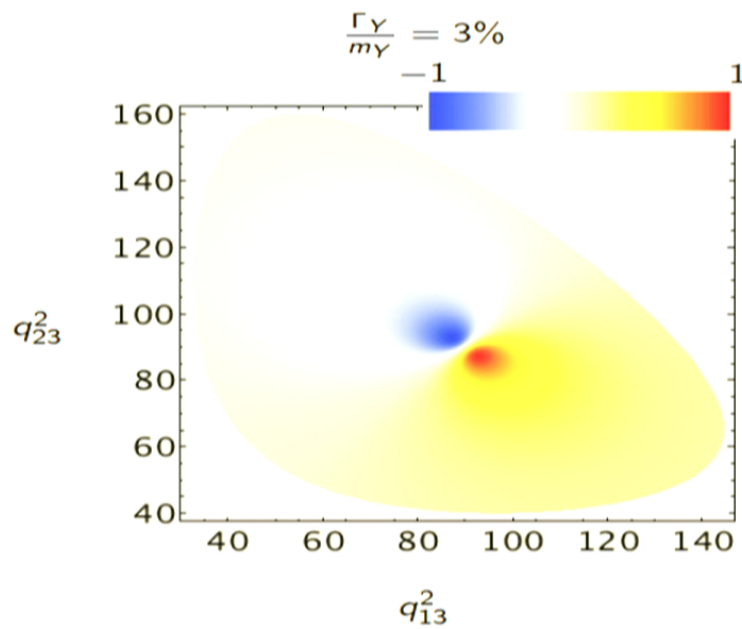
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# Width effects

$$\mathcal{A}_{CP}^{\text{diff}} = \frac{d\Gamma - d\bar{\Gamma}}{d\Gamma + d\bar{\Gamma}}$$



## Lessons so far

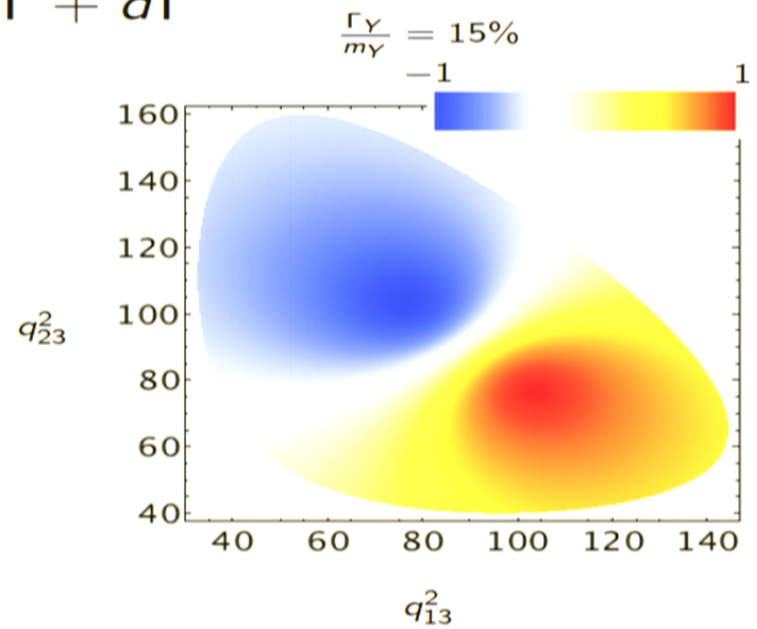
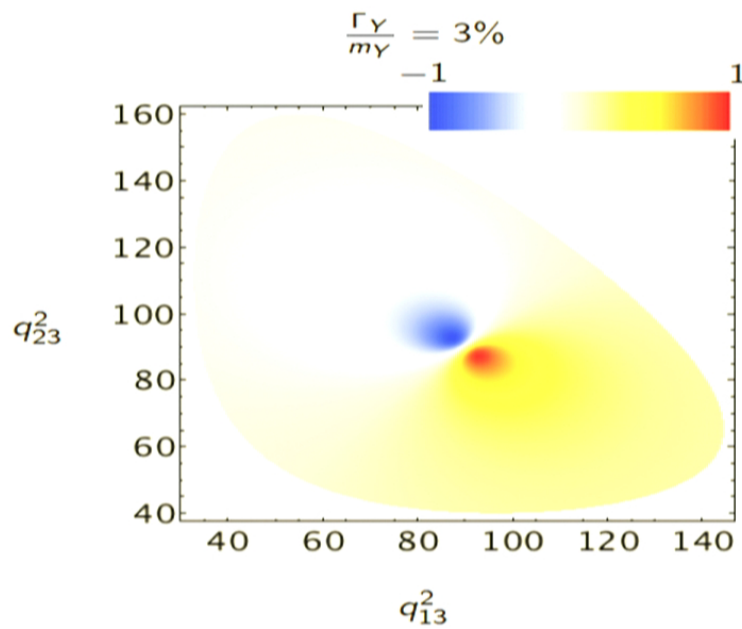
- ▶ CP-even phase:
  - ▶ Three body decays
  - ▶ Different orderings
  - ▶ On-shell resonance
- ▶ Integrated asymmetry suppressed by mass splitting
- ▶ Next step: make this new source practical

## The best bang for your buck

- ▶ Integrated rate sensitive to mass splitting
  - ▶ Eliminate suppression using phase space weighting
- ▶ Extreme case: identical charged final state particles
  - ▶ Can get non-zero asymmetry
- ▶ Charged particle kinematics measured
  - ▶ Momentum asymmetries possible

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## The observables

- ▶ Ideally: Rest-frame asymmetry

$$\mathcal{A}_{CP}^{RF} \propto N(p_+^{RF} > p_-^{RF}) - N(p_-^{RF} > p_+^{RF})$$

- ▶ Lepton collider pair production:  $p$  asymmetry

$$\mathcal{A}_{CP}^p \propto N(|\mathbf{p}_+| > |\mathbf{p}_-|) - N(|\mathbf{p}_-| > |\mathbf{p}_+|)$$

- ▶ Hadron collider pair production:  $p_T$  asymmetry

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- ▶ Triple product asymmetries?

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## $CP$ and kinematics

- ▶ Consider decay in rest frame of  $X_0^0$ 
  - ▶  $\mathcal{P}(p_+, p_-) = X_0^0 \rightarrow X_1^+(p_+)X_1^-(p_-)X_3^0$
  - ▶  $\overline{\mathcal{P}}(p_+, p_-) = X_0^0 \rightarrow X_1^+(p_-)X_1^-(p_+)X_3^0$
- ▶  $\mathcal{P}(p_+ > p_-) \xrightarrow{CP} \mathcal{P}(p_- > p_+)$ 
  - ▶ Can construct a  $CP$  asymmetry  $\mathcal{A}_{CP}^{RF}$

## $CP$ and kinematics

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## Choosing the parameters wisely

- ▶ Want large  $\Gamma_Y$ : limited by weak coupling
- ▶ Numerics: largest asymmetry for  $m_Y/m_{X_0} \approx 2/3$
- ▶ Example:  $\Gamma_Y/m_Y = 0.1$ ,  $m_Y/m_{X_0} = 2/3$

$$\mathcal{A}_{CP}^{RF} = 0.4052$$

## A dose of realism

- ▶ If full decay reconstructable, we're done
- ▶ More realistic:  $pp \rightarrow X_0^0 X_0^0$ , with  $X_0^0 \rightarrow X_1^+ X_1^- X_3^0$
- ▶  $X_3^0$  could escape as MET
  - ▶ Best we can try:  $\mathcal{A}_{CP}^{|\mathbf{P}|}$  and  $\mathcal{A}_{CP}^{PT}$

# Taking stock

- ▶ **Momentum asymmetries:** practical  $\mathcal{CP}$  observables
- ▶ Even with MET, asymmetry survives
  - ▶ Washed out by  $\sim 1/3$
- ▶ In what kinds of models is this relevant?



# A SUSY example

# Motivating the MSSM

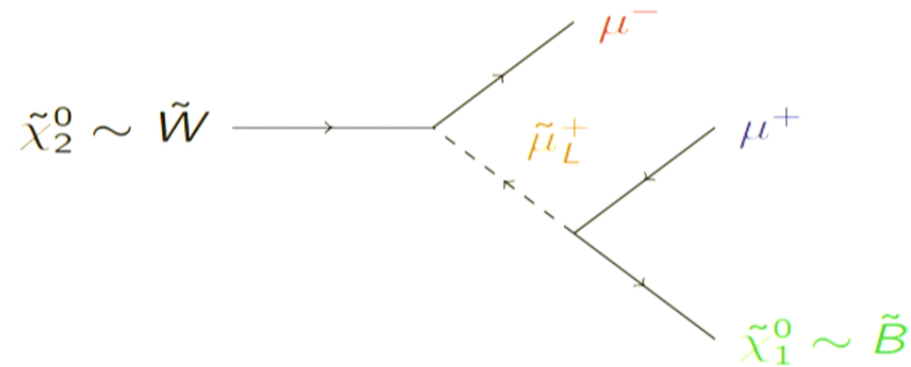
- ▶ MSSM remains a leading candidate for physics BSM
- ▶ Rich with important  $CP$  phases
  - ▶ Gaugino phases  $\rightarrow$  electroweak baryogenesis
- ▶ Flavor changing phases highly constrained

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## The relevant particles

- ▶ Leptons are easy

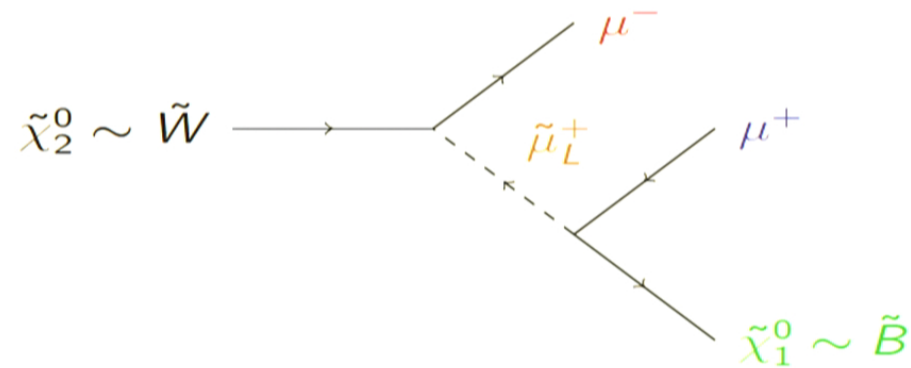


- ▶ Phase space  $\implies$  Scale hierarchy:

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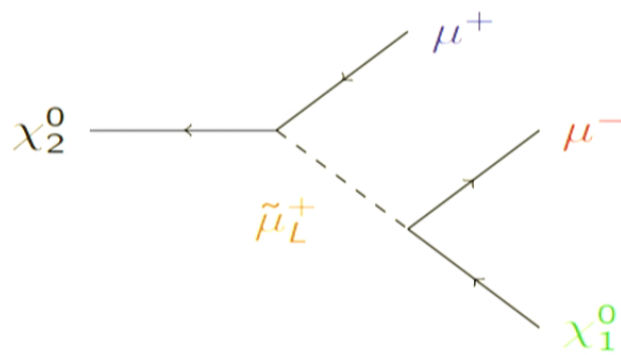
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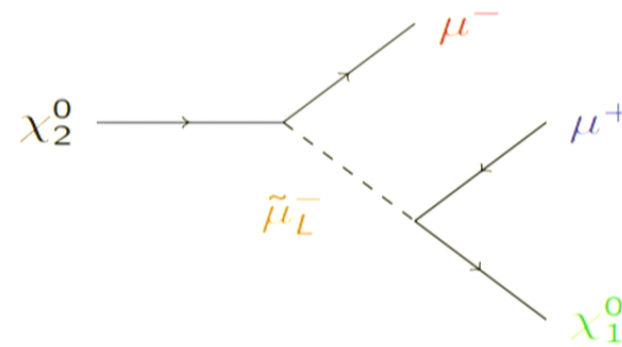
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# The decay



$$\propto \frac{M_1 M_2^*}{q_{13}^2 - m_{\tilde{\mu}}^2 + i\Gamma_{\tilde{\mu}} m_{\tilde{\mu}}}$$



$$\propto \frac{M_1^* M_2}{q_{23}^2 - m_{\tilde{\mu}}^2 + i\Gamma_{\tilde{\mu}} m_{\tilde{\mu}}}$$

## Narrow width issues

$$\mathcal{A}_{CP}^{\text{diff}} \approx \frac{m_{\chi_2}^2 m_{\chi_1}^2 m_{\tilde{\mu}} \Gamma_{\tilde{\mu}} (E_1 - E_2) \sin \delta}{f(E_1) + f(E_2)}$$

- ▶ Weakly interacting MSSM particles:  $\Gamma \lesssim \alpha m$ 
  - ▶  $\Gamma/m \lesssim 1\%$
- ▶ Strongly interacting MSSM particles?
  - ▶ Stronger bounds
  - ▶ Tougher experimentally

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Is it feasible?

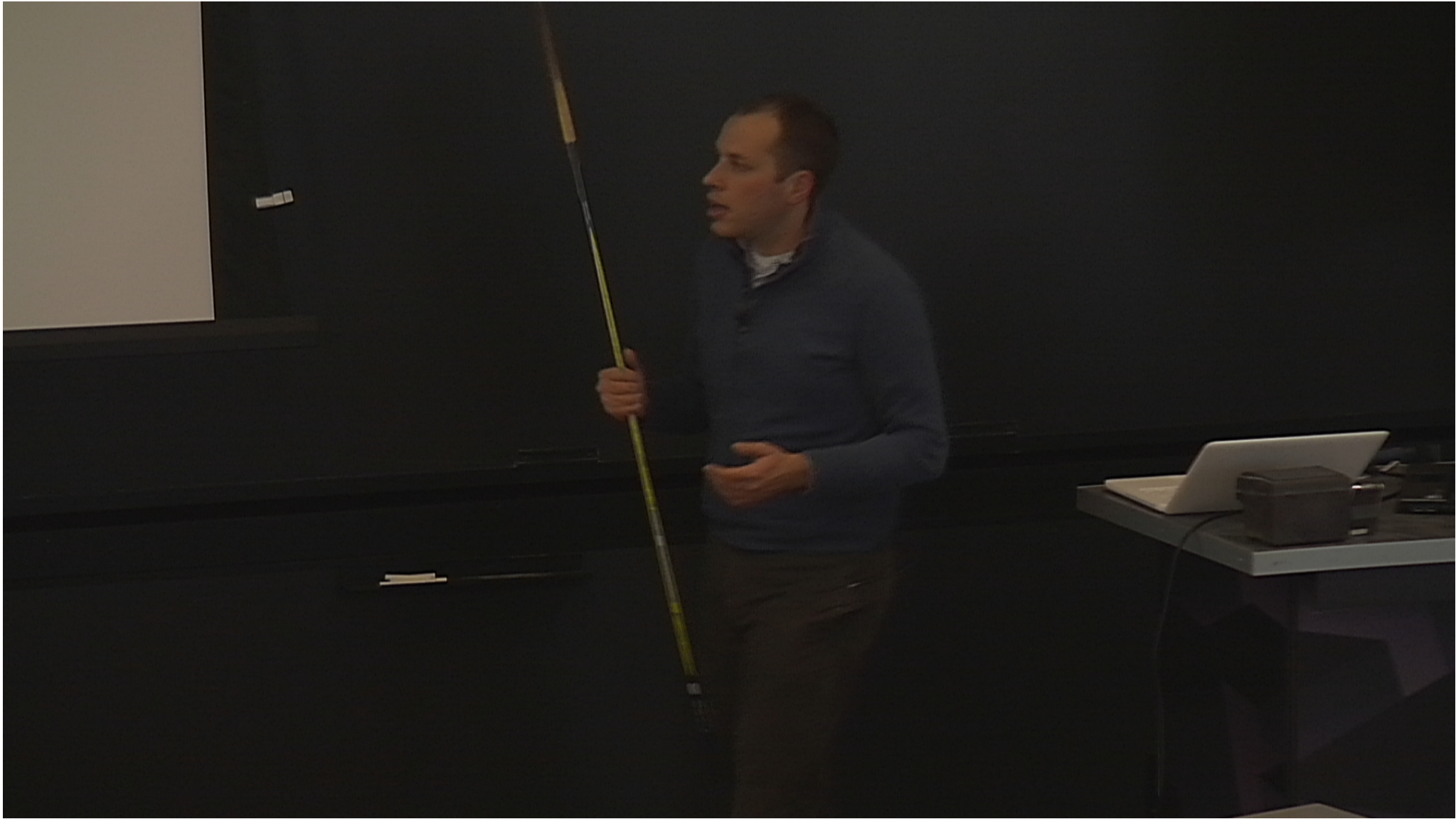
We're hopeful!

- ▶ Typically (but maybe not always) asymmetries  $\lesssim 1\%$
- ▶ Small cross section poses a challenge
- ▶ Not all channels explored yet: work in progress!

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## Take home message

- ▶ Triple products aren't the only game in town
- ▶ New strong phase ingredients:
  - ▶ Three body decays
  - ▶ On-shell resonance
  - ▶ Different orderings
- ▶ Observation at the LHC could be possible:
  - ▶ Construct momentum asymmetry
  - ▶ Small kinematic requirements
  - ▶ Small suppressions due to lost info



## Future directions

- ▶ Consider other processes (broader resonances?)
- ▶ Study spin dependence
- ▶ Full blown collider study

