

Title: Populating the Whole Landscape

Date: Jul 13, 2011 05:30 PM

URL: <http://pirsa.org/11070027>

Abstract:

Are the predictions of eternal inflation independent?



Are the predictions of eternal inflation independent of initial conditions?

① measure



Are the predictions of eternal inflation independent of initial conditions?

- ① measure
- ② traversable



Are the predictions of eternal inflation independent of initial conditions?

① measure

② traversable (from dS)



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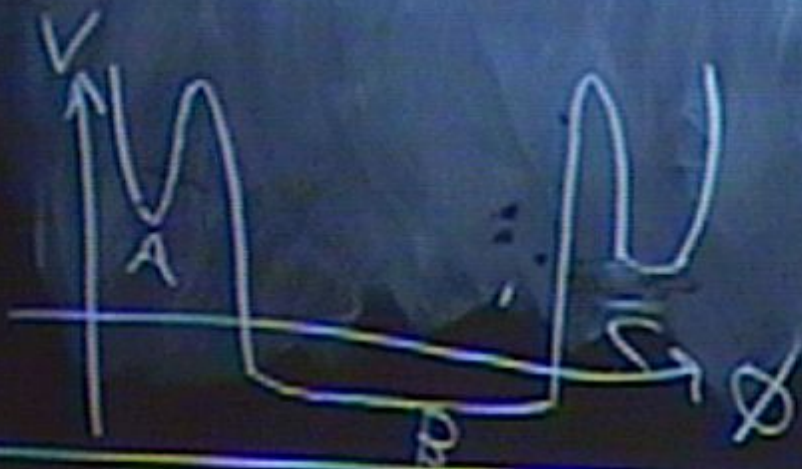




Are the predictions of eternal inflation independent of initial conditions?

① measure

② traversable (from dS)

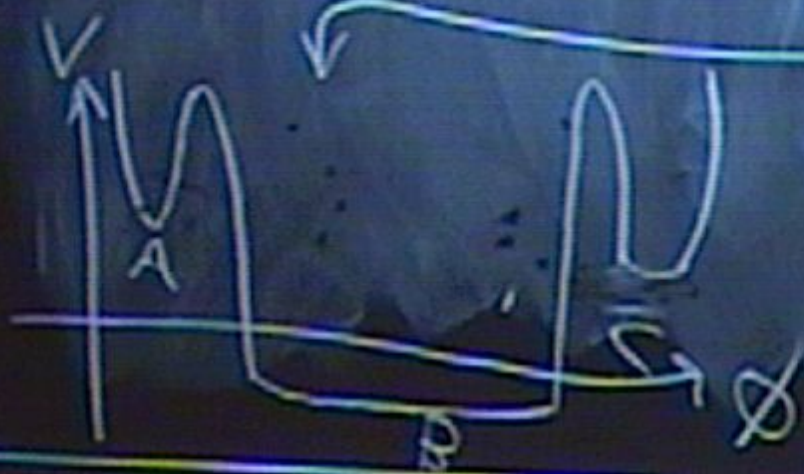




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① measure

② traversable (from dS)



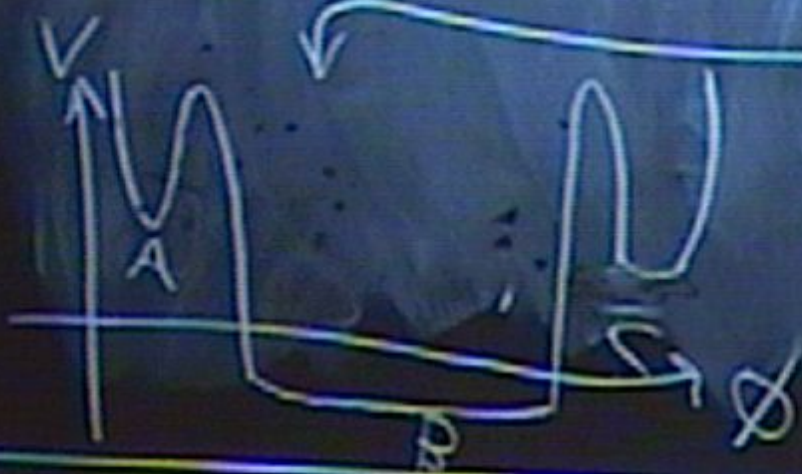
disconnected?



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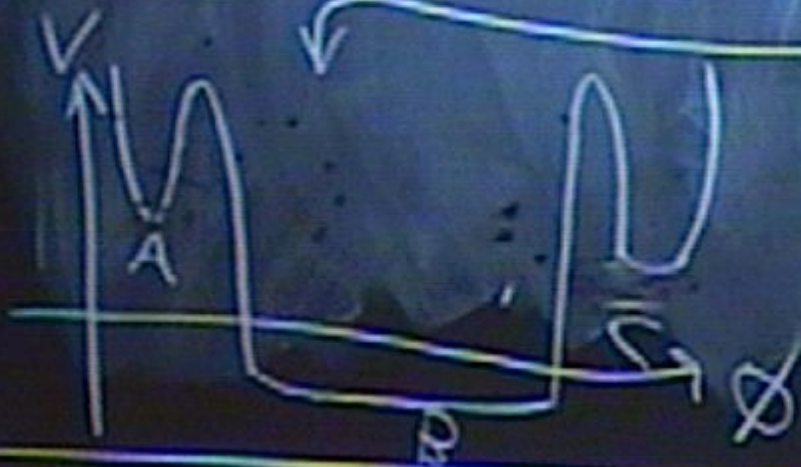
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Are the predictions of eternal inflation independent of initial conditions?

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disconnected?



fixed Minkowski

\* no instantiation

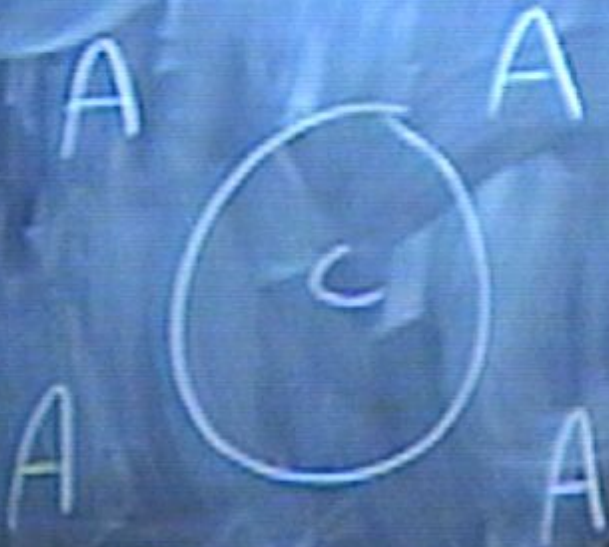
\*  $A \rightarrow B$



fixed Minkowski

\* no instantiation

\*  $A \rightarrow B \not\rightarrow C$





fixed Minkowski

\* no instantiation

\*  $A \rightarrow B \rightarrow C$





fixed Minkowski

\* no instantiation

\*  $A \rightarrow B \rightarrow C$





fixed Minkowski \*

\* no instantiation

\*  $A \rightarrow B \rightarrow C$





fixed Minkowski ~~\*~~

\* no instantiation

\*  $A \rightarrow B \rightarrow C$



QM



fixed Minkowski \*

\* no instantiation

\*  $A \rightarrow B \rightarrow C$



QM

$\sum_{\text{paths}} e^{iS}$



fixed Minkowski  $\times$

\* no instantiation

\*  $A \rightarrow B \times C$



QM

$$\sum_{\substack{P \neq Q \\ R \neq S}} e^{iS}$$



fixed Minkowski  $\times$

\* no instanton

\*  $A \rightarrow B \times C$



QM

$$\sum_{\text{paths}} e^{iS} \neq 0$$

unless  
C.D.I.



fixed Minkowski \*

\* no instanton

\*  $A \rightarrow B \rightarrow C$



QM

$$\sum_{\text{paths}} e^{iS} \neq 0$$

unless  
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fixed Minkowski ~~\*~~

\* no instanton

\*  $A \rightarrow B \rightarrow C$



QM

$$\sum_{\text{paths}} e^{iS} \neq 0$$

unless  
C.D.I.

$$\textcircled{1} S = \infty$$



fixed Minkowski \* / QM

\* no instanton

\*  $A \rightarrow B \rightarrow C$

$\sum_{R \neq S} e^{iS} \neq 0$



unless  
C.D.I.

①  $S = \infty$

② nodes



fixed Minkowski ✗

\* no instation

\*  $A \rightarrow B \rightarrow C$



QM ✓

$$\sum_{\text{paths}} e^{iS} \neq 0$$

unless  
C.D.I.

①  $S = \infty$

② nodes



box ✓.



box ✓.

dynamical gravity

\*no instanton

\* $A \rightarrow B \not\rightarrow C$

$O(4)$

$$a^2 = -1 + \frac{ka^2}{3} \left( \frac{1}{2} \dot{\phi}^2 + U \right)$$



box ✓.

dynamical gravity

\*no instanton

\* $A \rightarrow B \times C$

$O(4)$

$$a^2 = -1 + \frac{ka^2}{3} (1 + \dots)$$





box ✓.

dynamical gravity

\*no instanton

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$O(4)$

$$\dot{a}^2 = -1 + \frac{ka^2}{3} \left( \frac{1}{2} \dot{\phi}^2 + U \right)$$



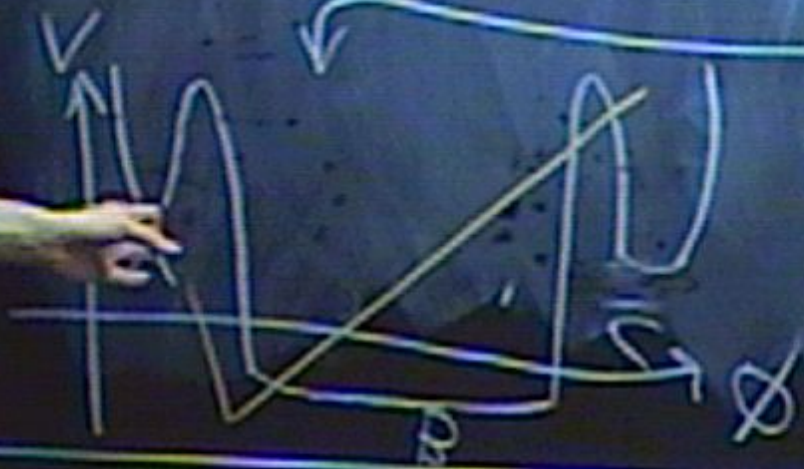


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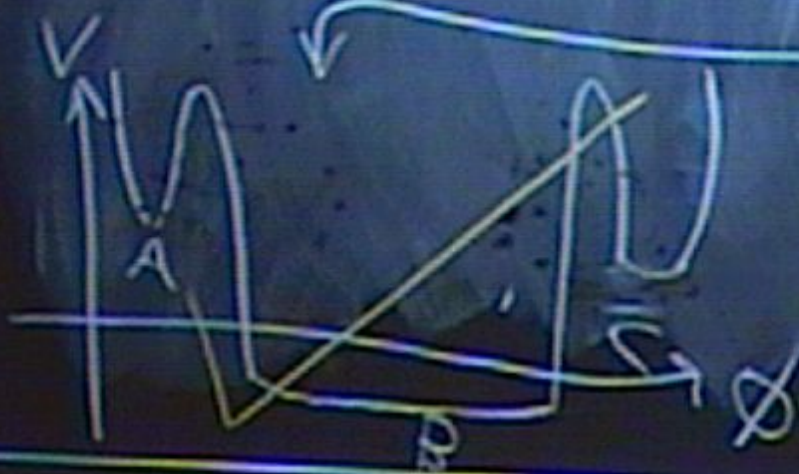




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$O(4)$

$$\dot{a}^2 = -1 + \frac{ka^2}{3} \left( \frac{1}{2} \dot{\phi}^2 + U \right)$$



box ✓.

dynamical gravity

\*no instanton

\* $A \rightarrow B \not\rightarrow C$

$O(4)$

$$\dot{\alpha}^2 = -1 + \frac{ka^2}{3} \left( \frac{1}{2} \dot{\phi}^2 + U \right)$$

