

Title: Exploring the Landscape with Classical Transitions

Date: Jun 22, 2011 03:50 PM

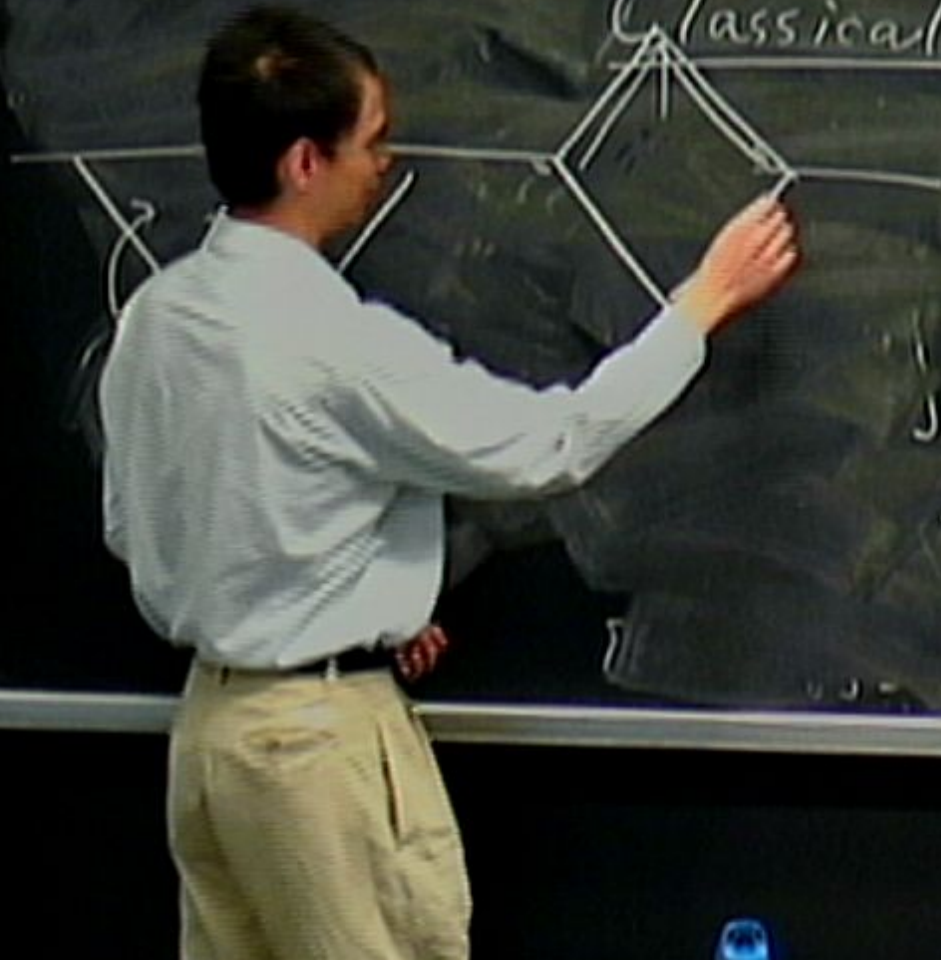
URL: <http://pirsa.org/11060064>

Abstract: Classical transition is one of the simplest consequences of cosmic bubble collisions. In quite a few simple toy model landscapes, collisions always result in classical transitions. Can it be generalized to the "real" string theory landscape? If so, does it imply some sort of hidden structure of the landscape?

Explore the Landscape through  
Classical Transitions



Explore the Landscape through  
Classical Transitions



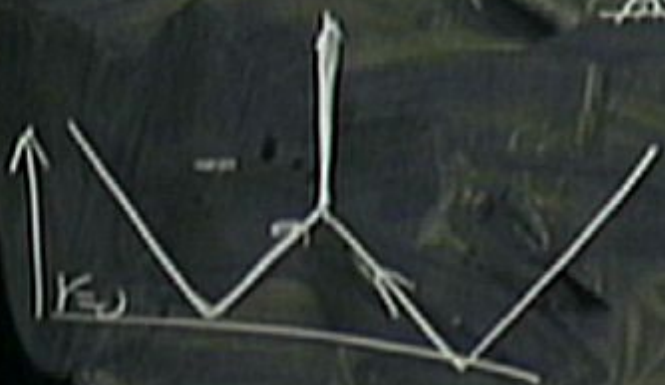
# Explore the Landscape through Classical Transitions



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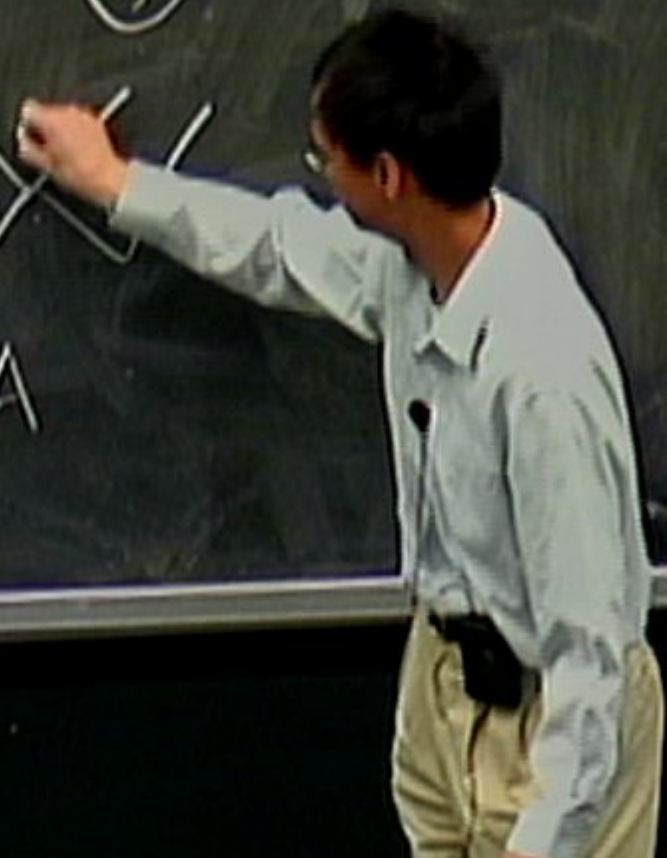


# Explore the Landscape through Classical Transitions





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H. S. 80's



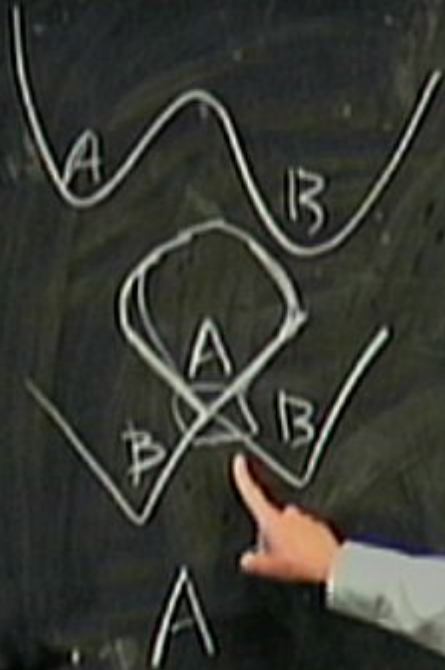
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H. S. 80's



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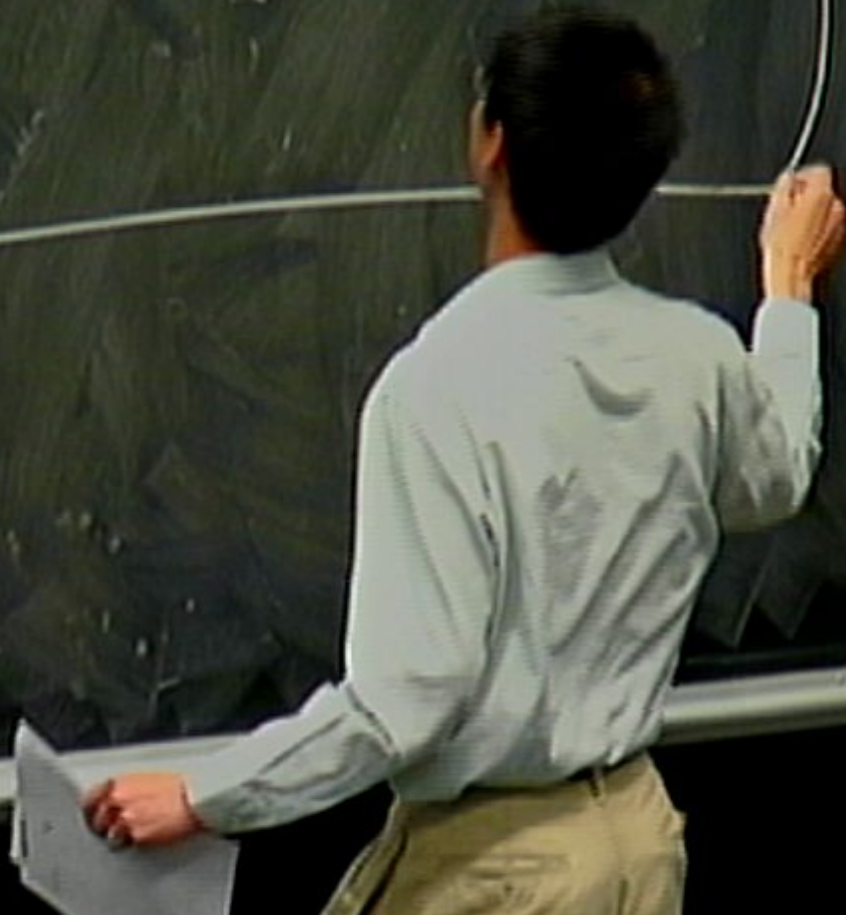
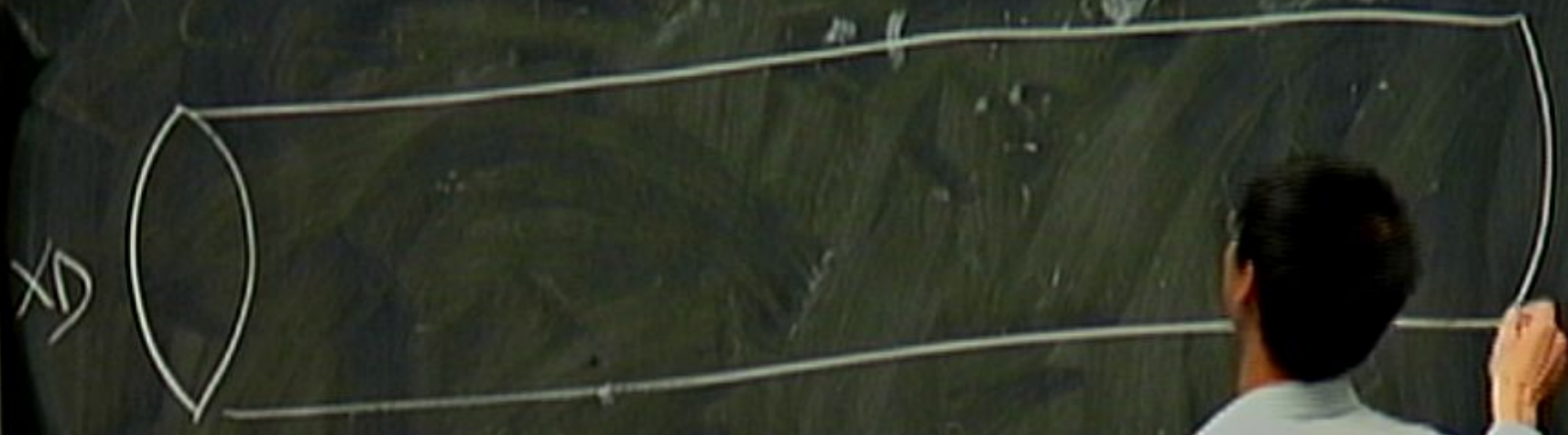
H. S. 80's



0904. 3106. TB-P, S-P, V.

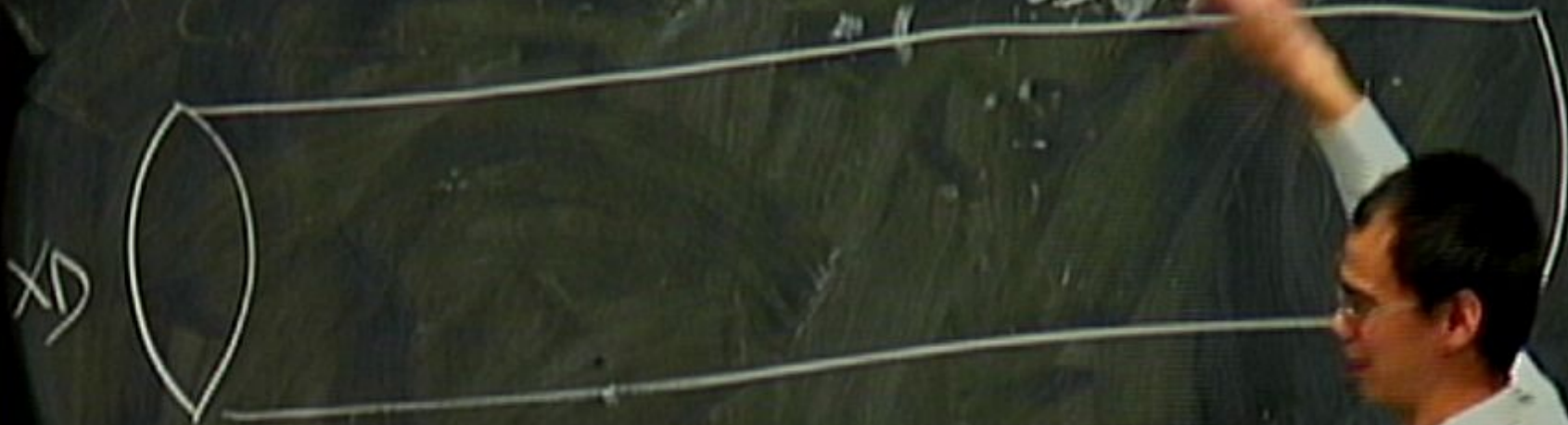


0904. 3106. TB-P, S-P. V.



0904. 3106. TB-P, S-P, V.

3D



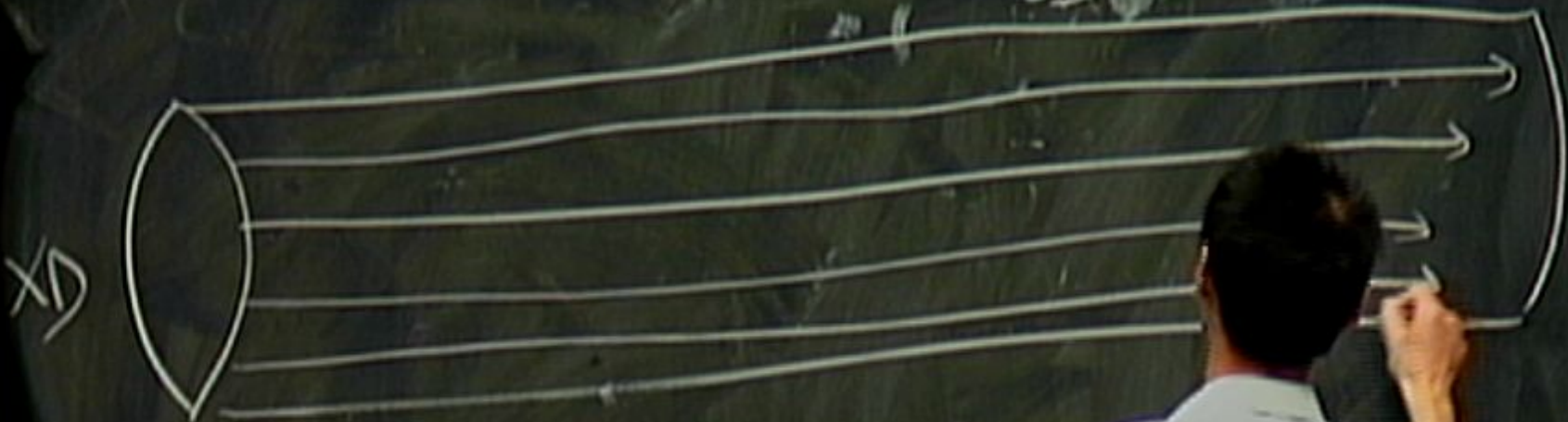
0904. 3106. B-P, S-P, V.

3D



0904. 3106. B-P, S-P, V.

3D



0904. 3106. TB-P, S-P, V.

3D



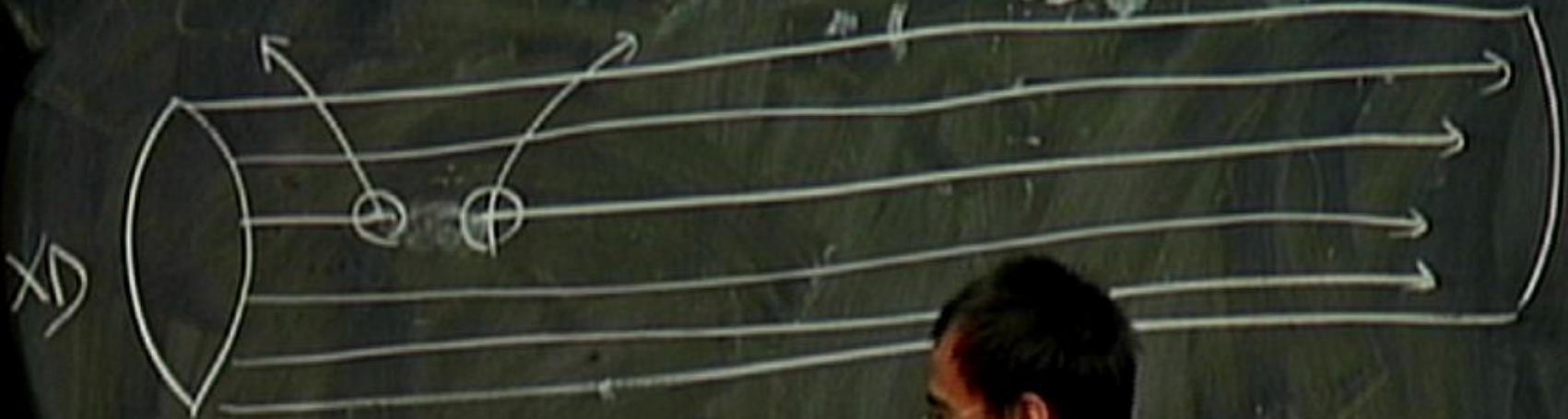
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3D



0904. 3106. B-P, S-P. V.

3D

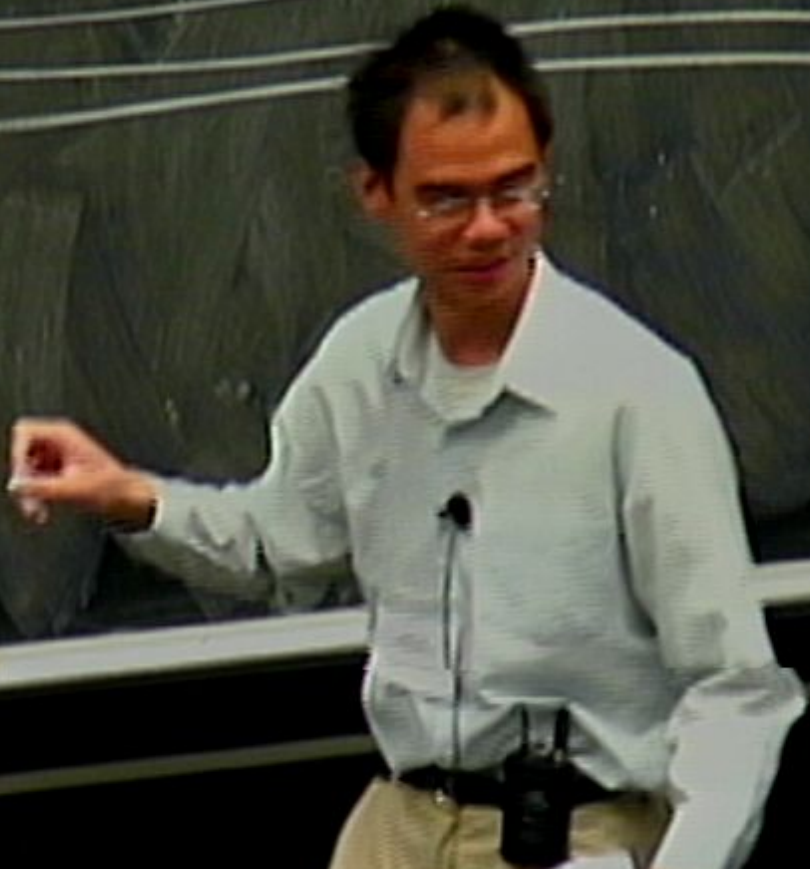
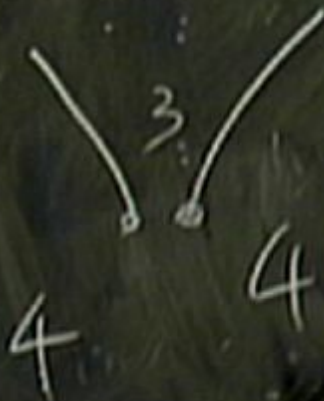
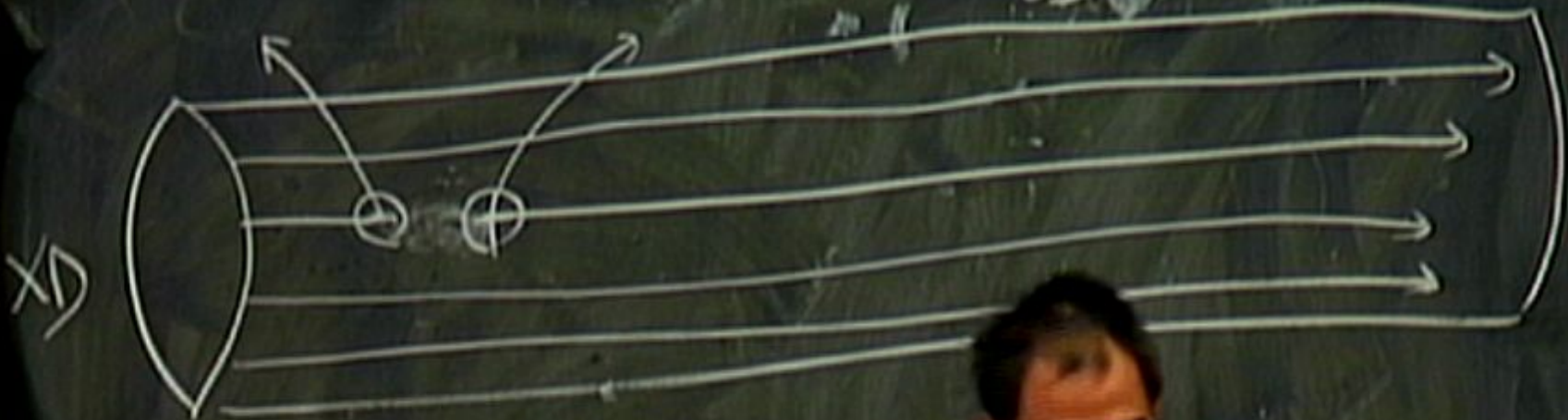


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0904. 3106. B-P, S-P, V.

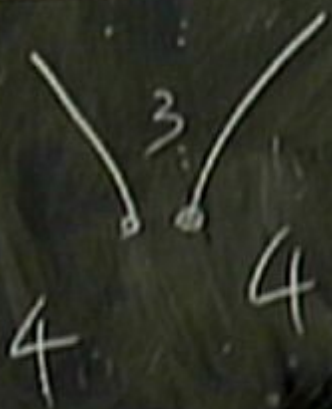
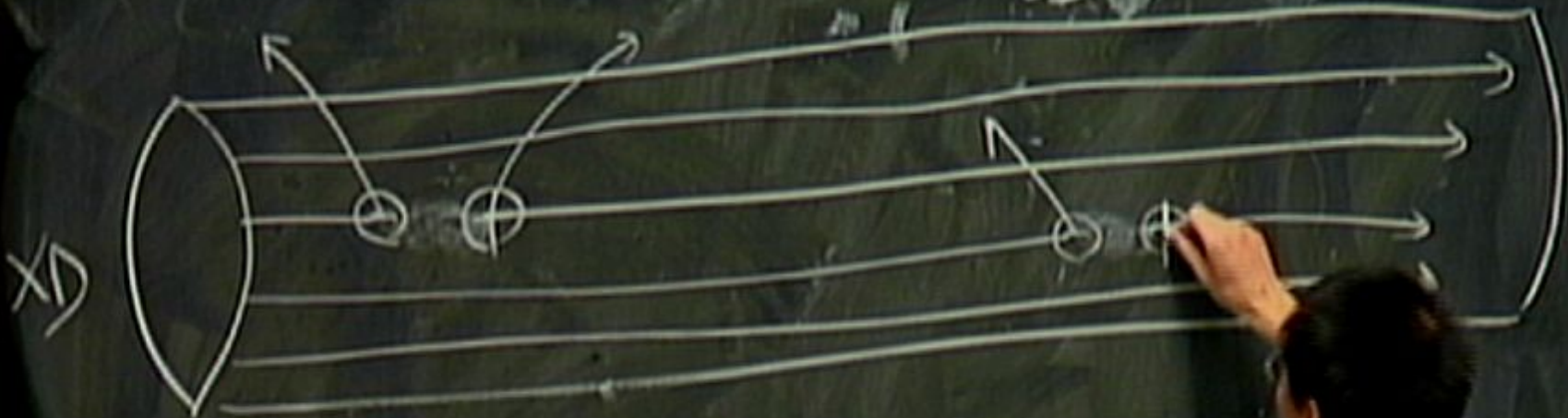
3D





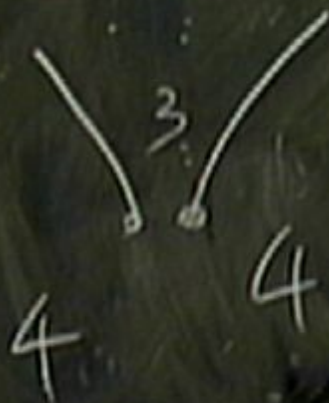
0904. 3106. B-P, S-P. V.

3D



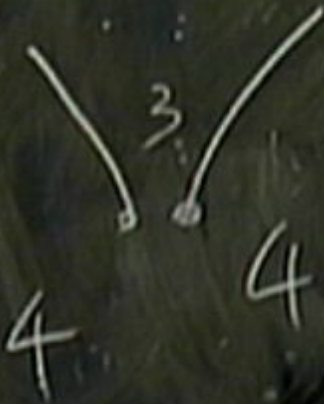
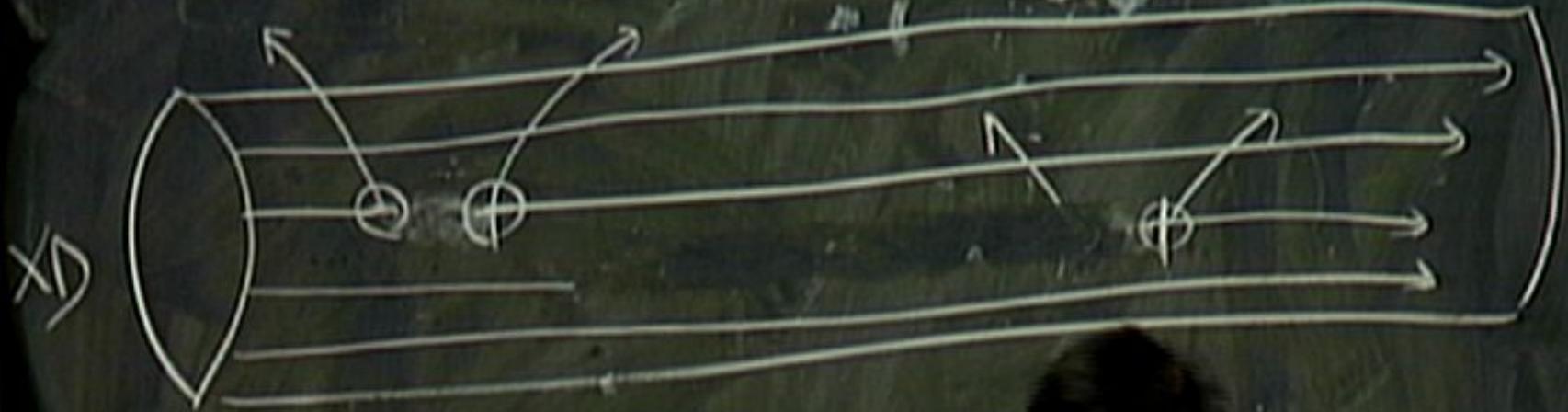
0904. 3106. B-P, S-P. V.

3D



0904. 3106. B-P, S-P. V.

3D



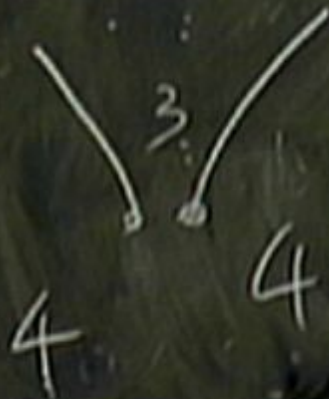
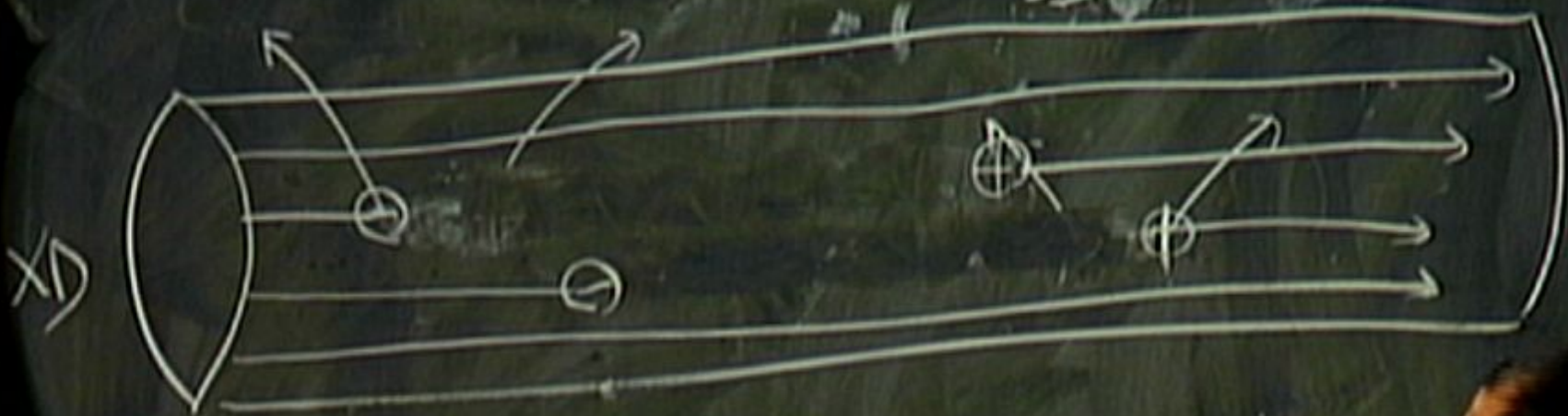
0904. 3106. B-P, S-P. V.

3D



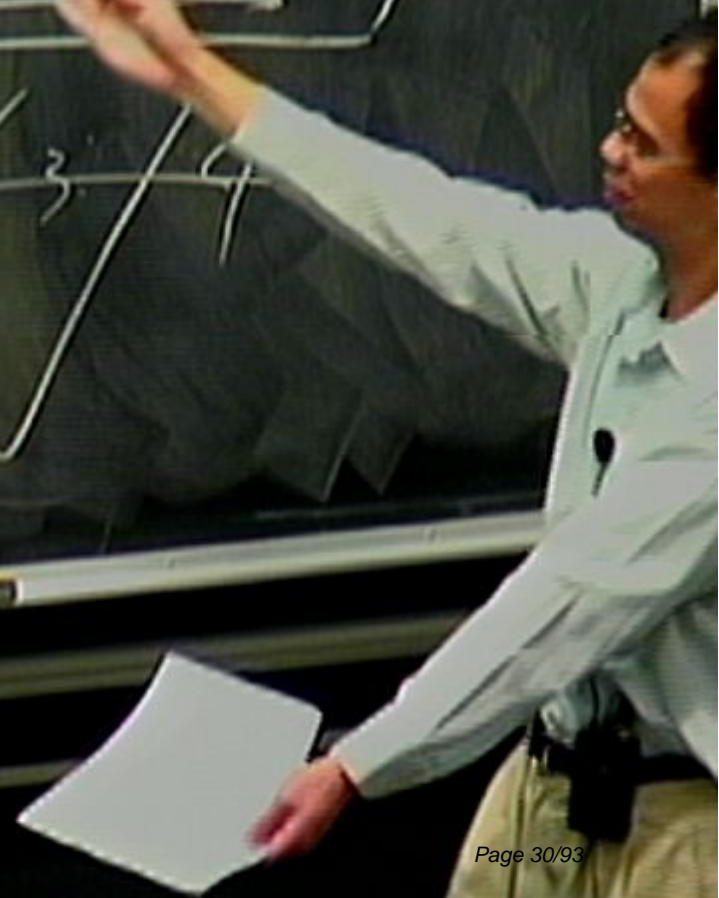
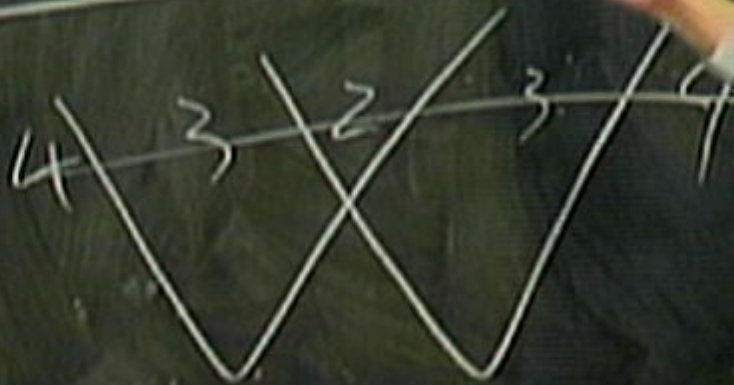
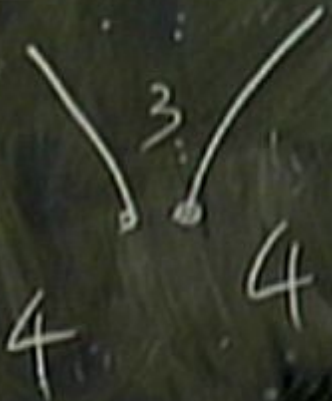
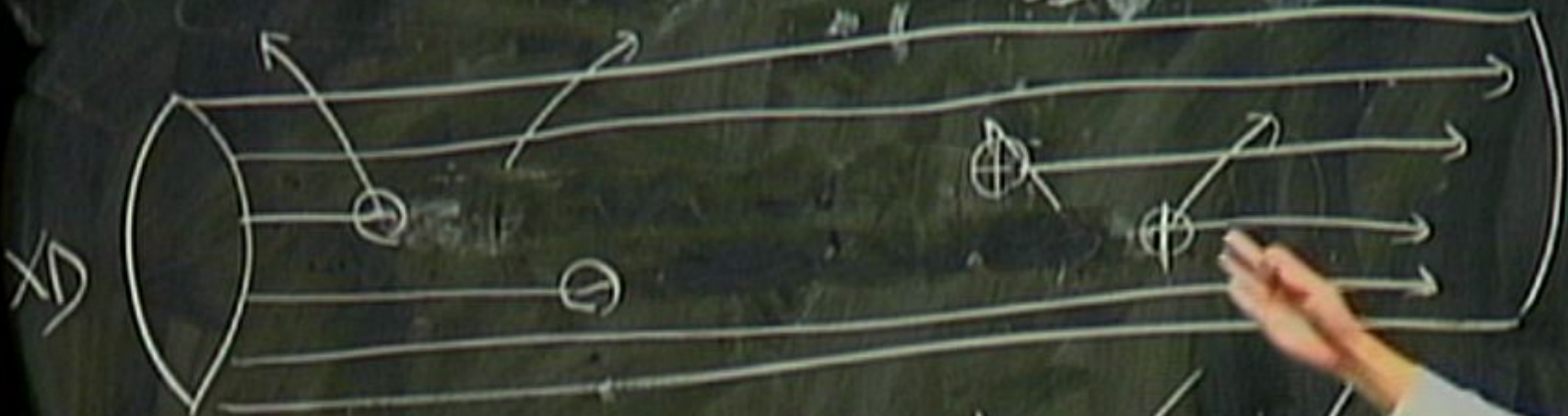
0904. 3106. B-P, S-P. V.

3D



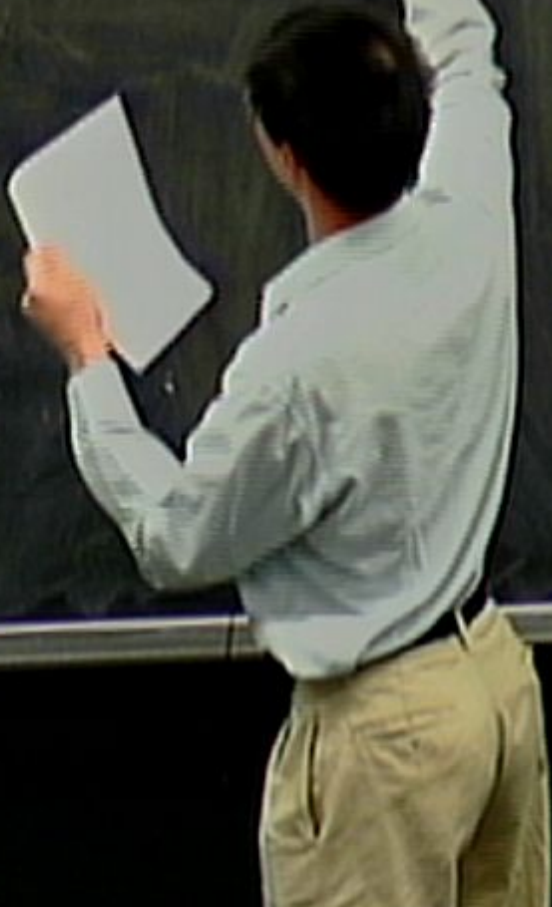
0904. 3106. B-P, S-P, V.

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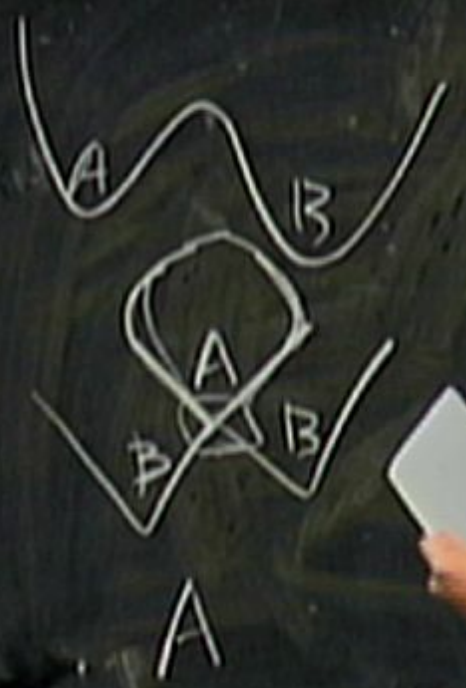


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0904. 3106



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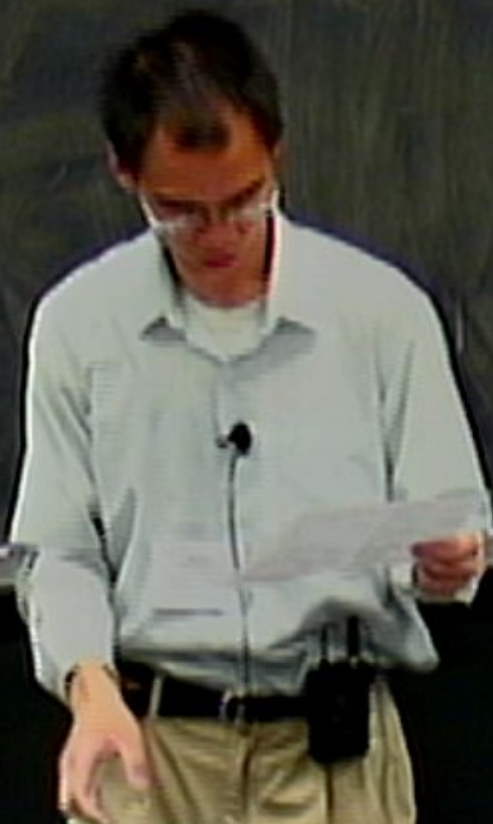


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0907.3234,  
1005.3493  
1005.3506

E, G, H, L  
G, H, L, Y  
J, Y.



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A

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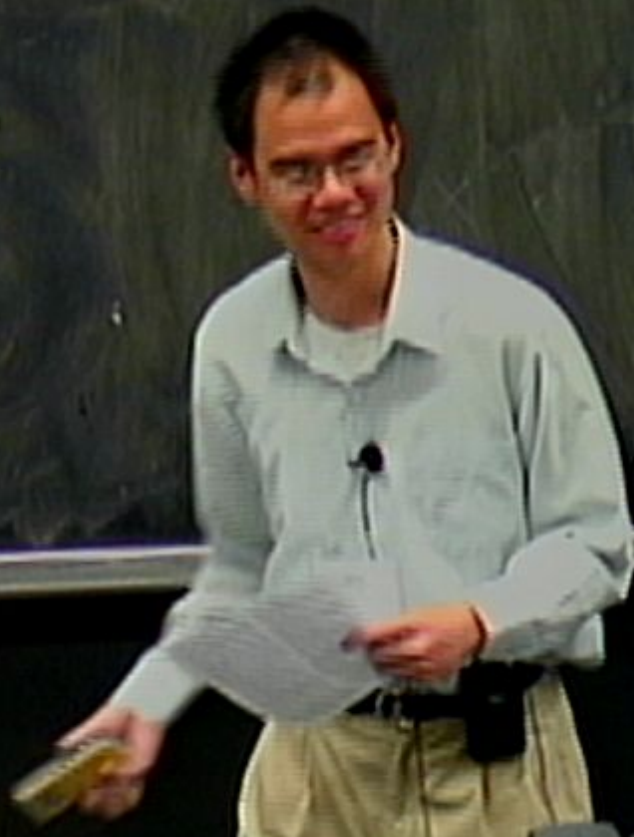
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E, G, H, L

G, H, L, Y

J, Y.



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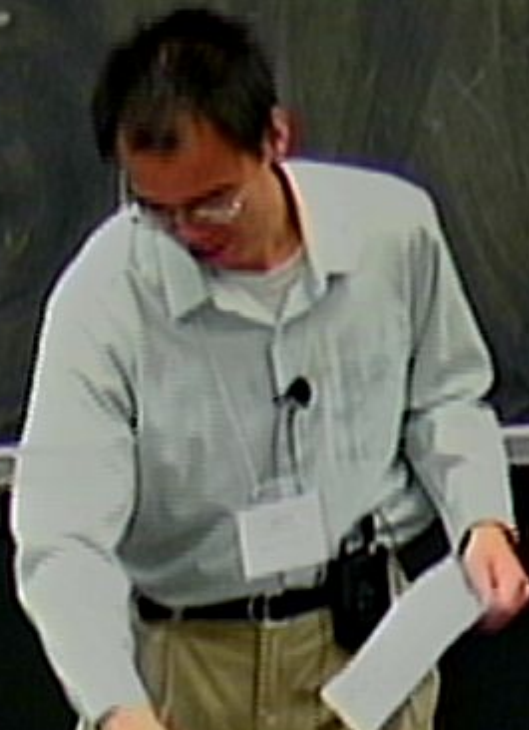
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E, G, H, L

G, H, L, Y

J, Y.



$$n^2 \times n$$

$$q^T: n \times k$$

$$n \approx R^2$$

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1005.3493  
1005.3506

E. G, H, L  
G, H, L, Y  
J. Y.



$$n^2 \times n$$

$$q^T: n \times k$$

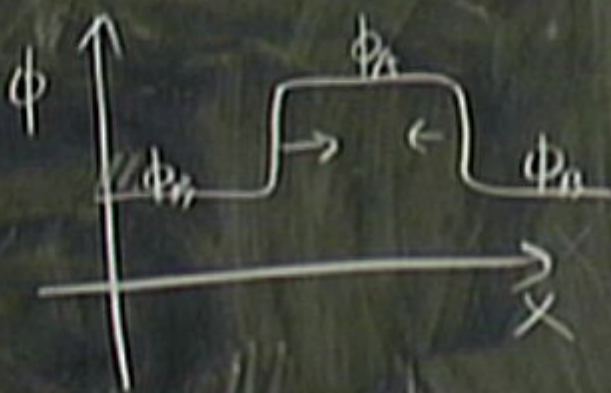
$$n = R^2$$

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1005.3493  
1005.3506

E. G, H, L  
G, H, L, Y  
J. Y.



$$\ddot{\phi} - \phi'' = -\frac{\partial V}{\partial \phi}$$

$$n^2 \times n$$

$$q^T: n \times k$$

$$n = R^2$$

①



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E. G, H, L

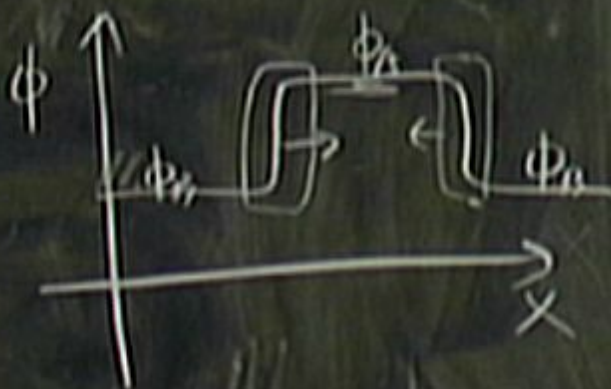
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G, H, L, Y

1005.3506

J. Y.

$$\ddot{\phi} - \phi'' = -\frac{\partial V}{\partial \phi}$$



$$n^2 \times n$$

$$q^T: n \times k$$

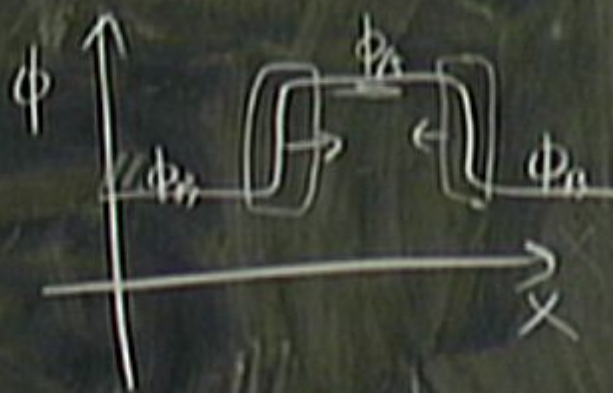
$$n = R^2$$

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1005.3506

E. G, H, L  
G, H, L, Y  
J. Y.

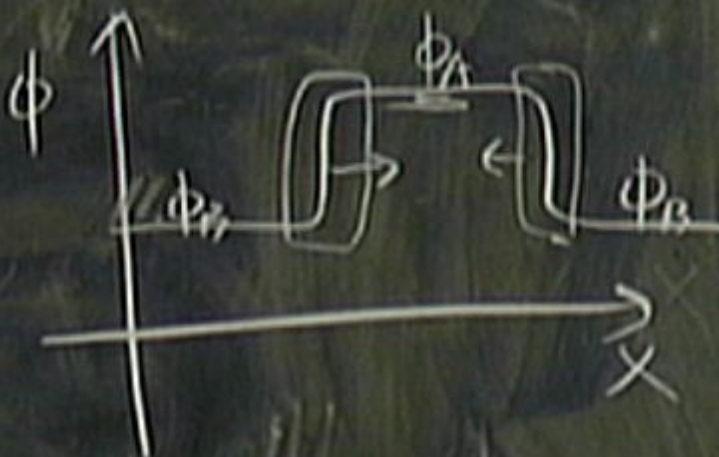


$$\ddot{\phi} - \phi'' = -\frac{\partial V}{\partial \phi}$$

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0907.3234, E. G, H, L  
 1005.3493, G, H, L, Y  
 1005.3506, J, Y



$$\begin{matrix} \ddot{\phi} & - & \phi'' \\ \phi & - & \phi \\ \mu & - & \mu \\ y^2 & - & y^2 \end{matrix} = - \frac{\partial V}{\partial \phi}$$

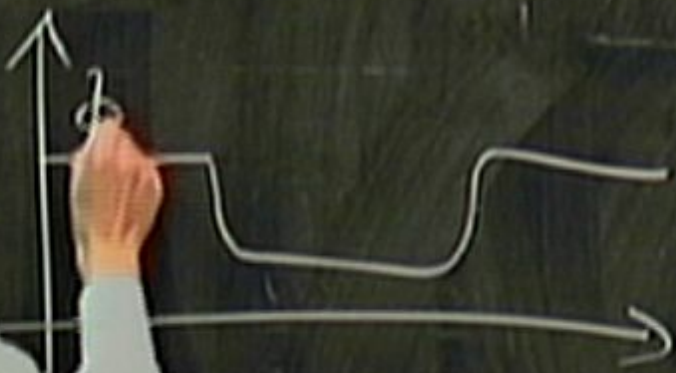


$$\phi(x, t) = \phi_1(x)$$

$$\phi(x, t) = \phi_1(\gamma(x - \beta t)) + \phi_2(\gamma(x + \beta t))$$

$$\phi(x, t) = \phi_1(\gamma(\underline{x - \beta t})) + \phi_2(\gamma(\underline{x + \beta t}))$$

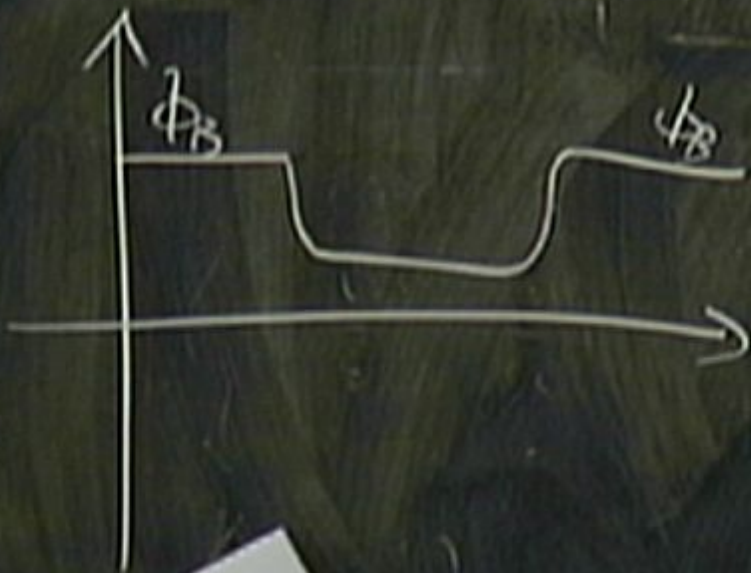
$$\phi(x,t) = \phi_1(\gamma(\underline{x - \beta t})) + \phi_2(\gamma(\underline{x + \beta t}))$$

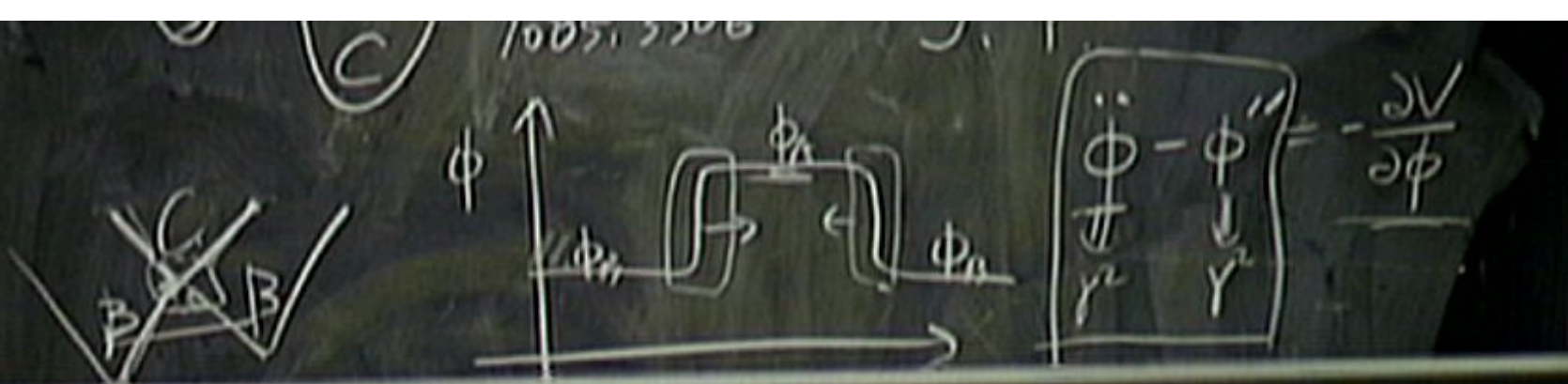


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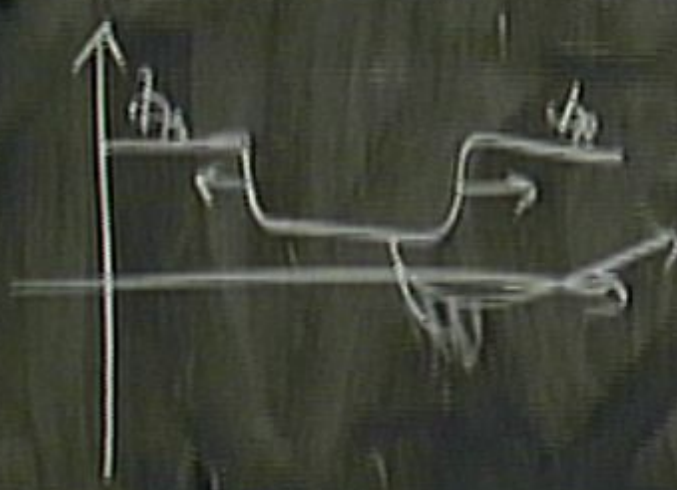
X

$$\phi(x,t) = \phi_1(\gamma(x-\beta t)) + \phi_2(\gamma(x+\beta t))$$





$$\phi(x, t) = \phi_1(\gamma(x - \beta t)) + \phi_2(\gamma(x + \beta t))$$



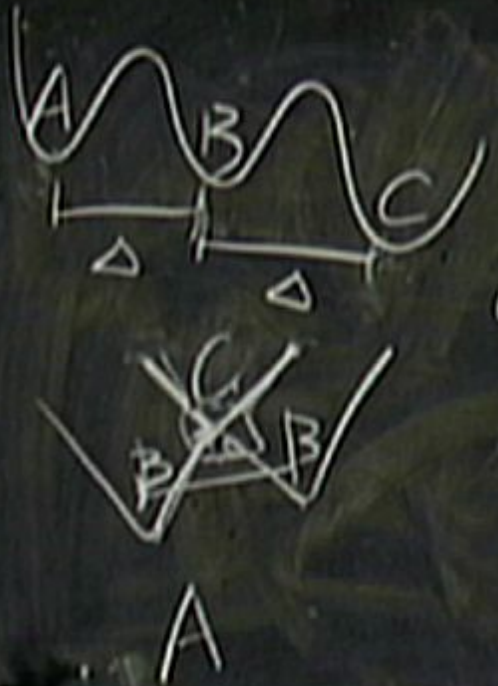
$$\phi_{12} - (\phi_1 - \phi_2) = \phi_c$$



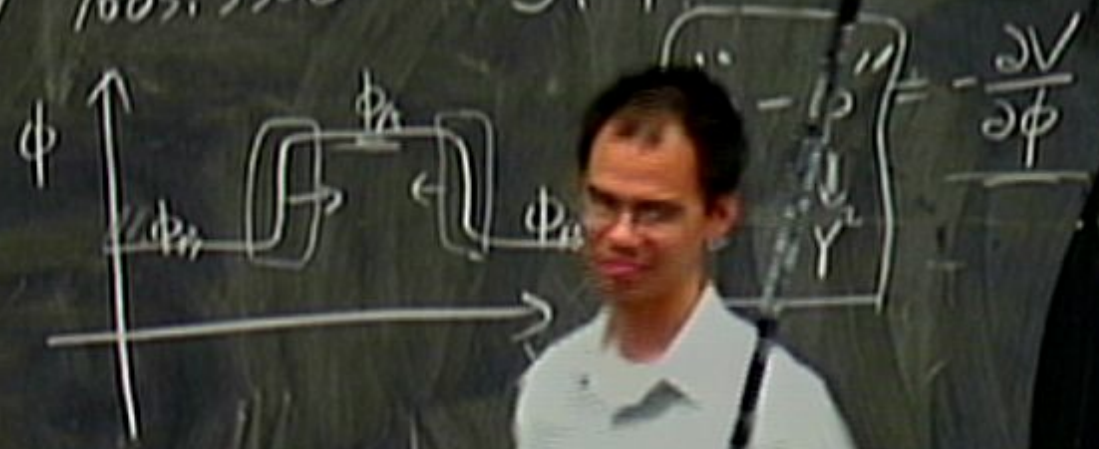


$$\Phi_B - (\Phi_A - \Phi_B) = \Phi_C$$

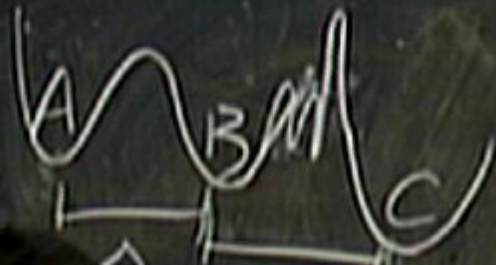
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0907.3234, E. G, H, L  
 1005.3493, G, H, L, Y  
 1005.3506, J, Y

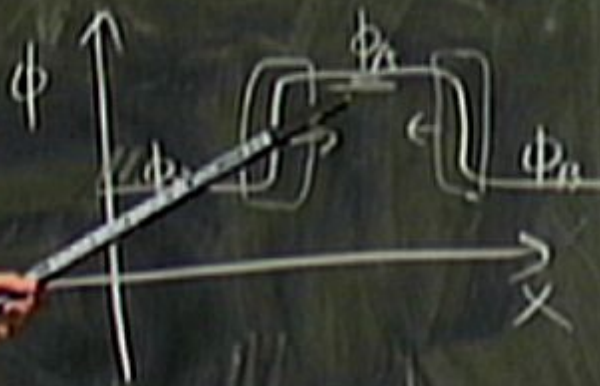


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1005.3493  
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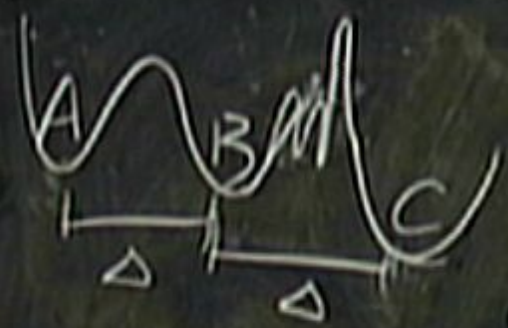
E. G, H, L  
G, H, L, Y  
J. Y



$$\left[ \begin{array}{c} \ddot{\Phi} \\ \Phi \\ \gamma^2 \end{array} - \Phi'' \right] = -\frac{\partial V}{\partial \Phi}$$

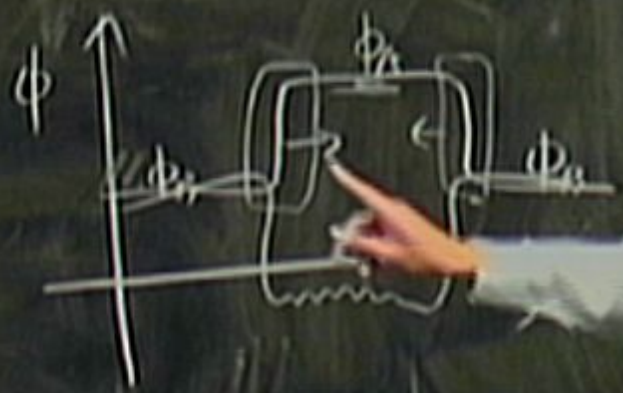


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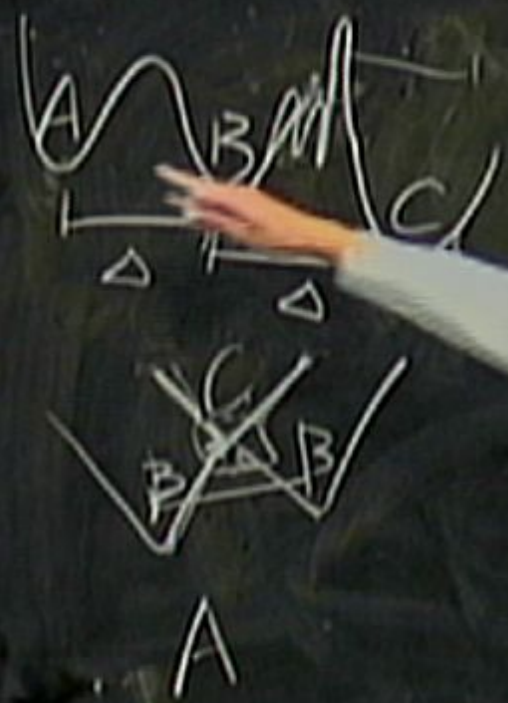
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1005.3506

E. G, H, L  
G, H, L Y  
J. Y



$$\frac{\partial V}{\partial \phi}$$

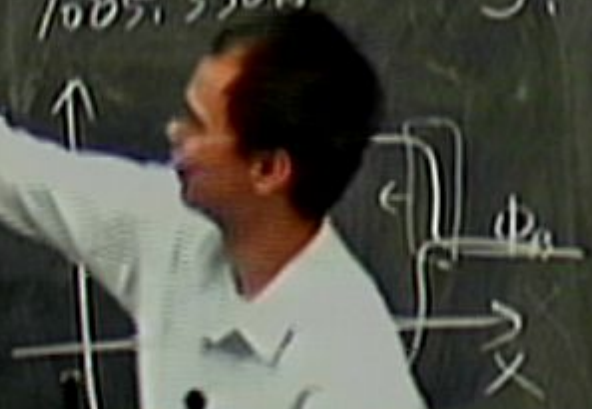
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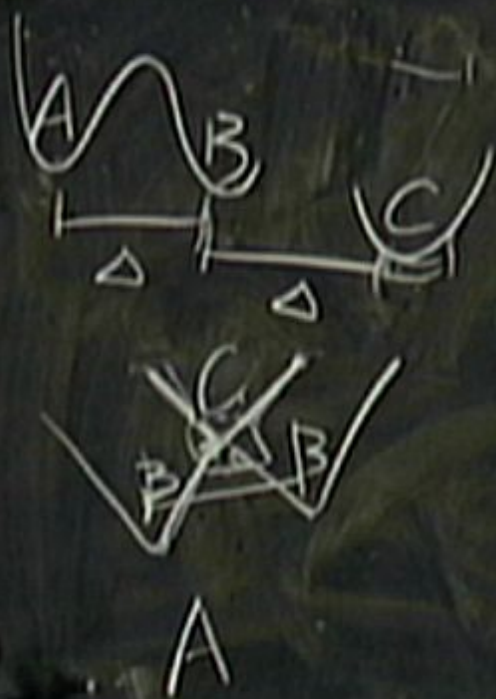
09107.3234,  
1005.3493  
1005.3506

E. G, H, L  
G, H, L, Y  
J. Y

$$\left[ \begin{array}{c} \ddot{\phi} \\ \phi \\ y^2 \end{array} - \phi'' \right] = -\frac{\partial V}{\partial \phi}$$



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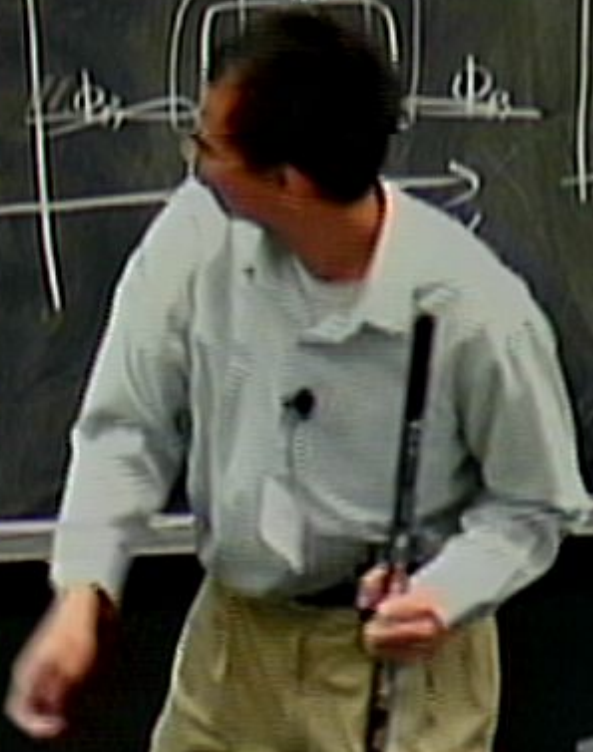


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1005.3493  
1005.3506

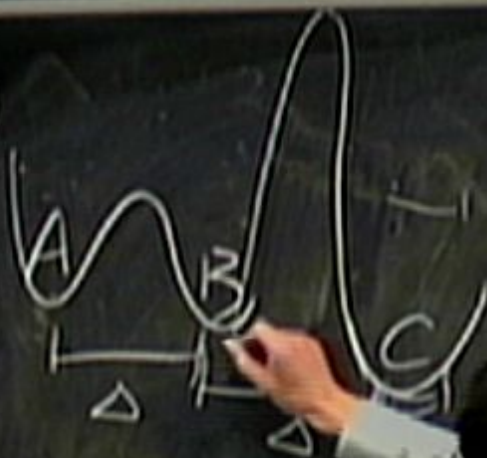
E. G, H, L  
G, H, L, Y  
J. Y



$$\ddot{\phi} - \phi'' = -\frac{\partial V}{\partial \phi}$$

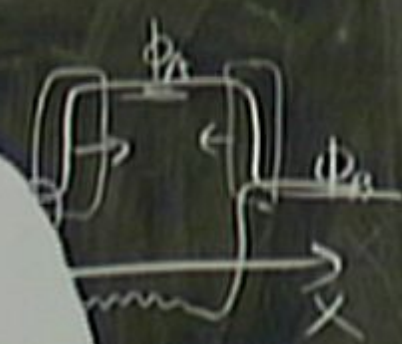


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E. G, H, L  
G, H, L, Y  
J. Y



$$\ddot{\Phi} - \Phi'' = -\frac{\partial V}{\partial \Phi}$$



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1005.3493  
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E. G, H, L  
G, H, L, Y  
J. Y



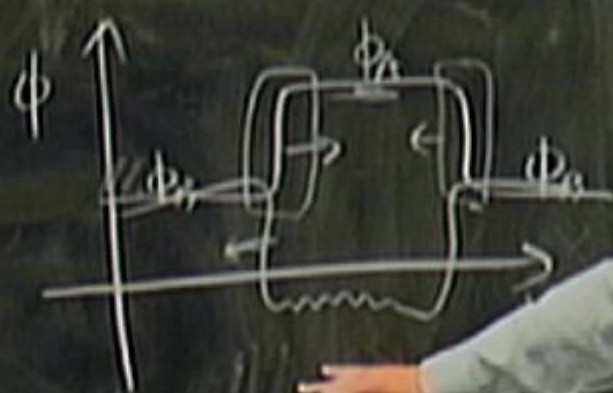
$$\left[ \begin{array}{c} \ddot{\phi} - \phi'' \\ \frac{\partial V}{\partial \phi} \end{array} \right] = -\frac{\partial V}{\partial \phi}$$





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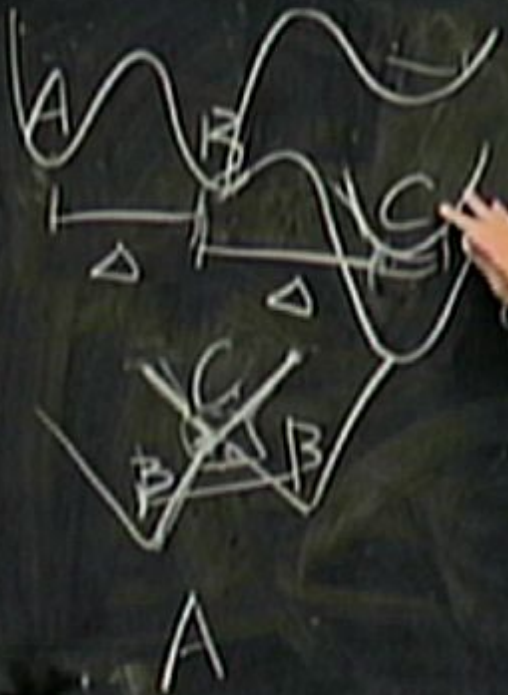
E. G, H, L  
G, H, L, Y  
J. Y



$$\ddot{\Phi} - \Phi = \frac{V}{\mu_0 \mu_r}$$

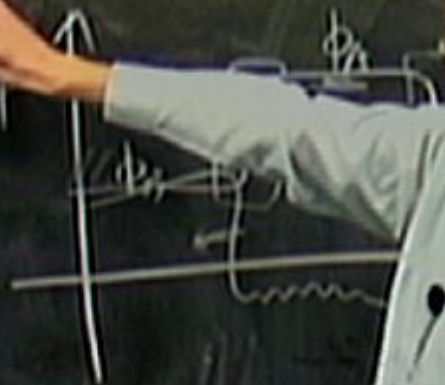


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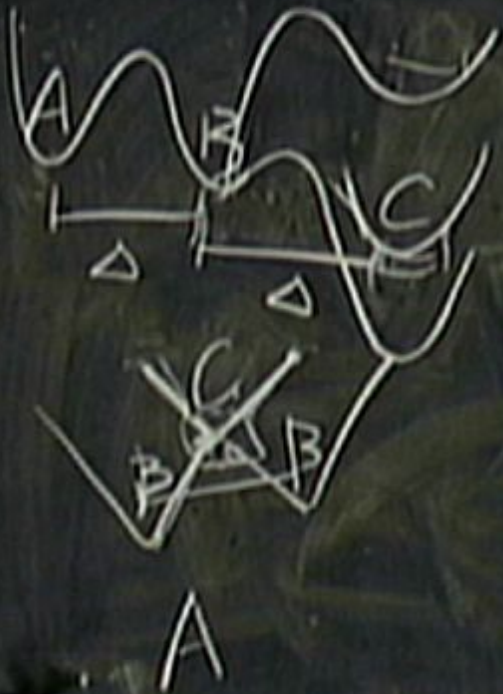
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1005.3493  
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E, G, H, L  
G, H, L, Y  
T, Y



$$\left[ \begin{array}{c} \ddot{\phi} \\ \phi \\ y^2 \end{array} - \phi'' \right] = -\frac{\partial V}{\partial \phi}$$

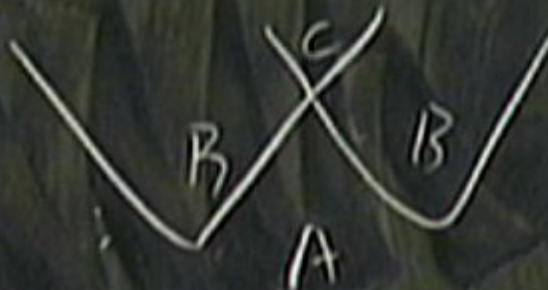
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1005.3493  
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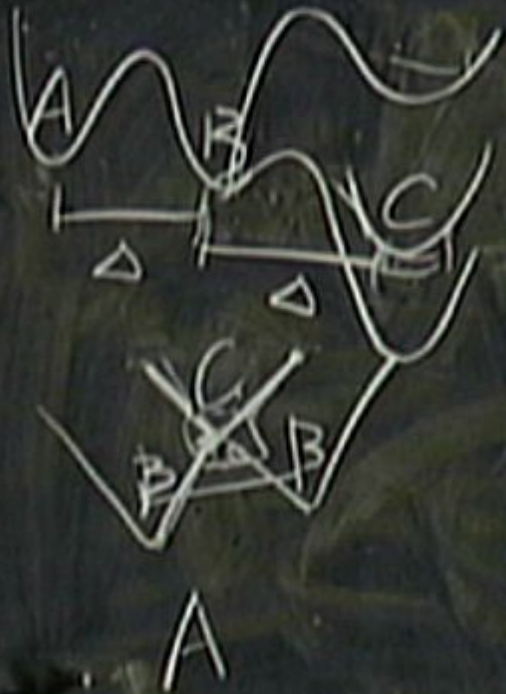
E. G, H, L  
G, H, L, Y  
J. Y

Vc





①



09107.3234,  
1005.3493  
1005.3506

E. G, H, L  
G, H, L, Y  
J. Y

$V_c > V$



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09107.3234,  
1005.3493  
1005.3506

E. G, H, L  
G, H, L, Y  
J. Y

$V_C > V_B$



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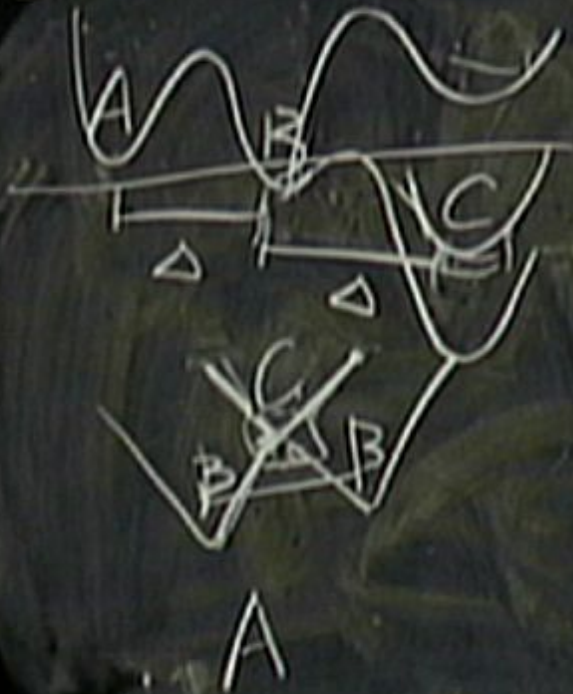
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1005.3493  
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E. G, H, L  
G, H, L, Y  
J. Y

V<sub>c</sub>



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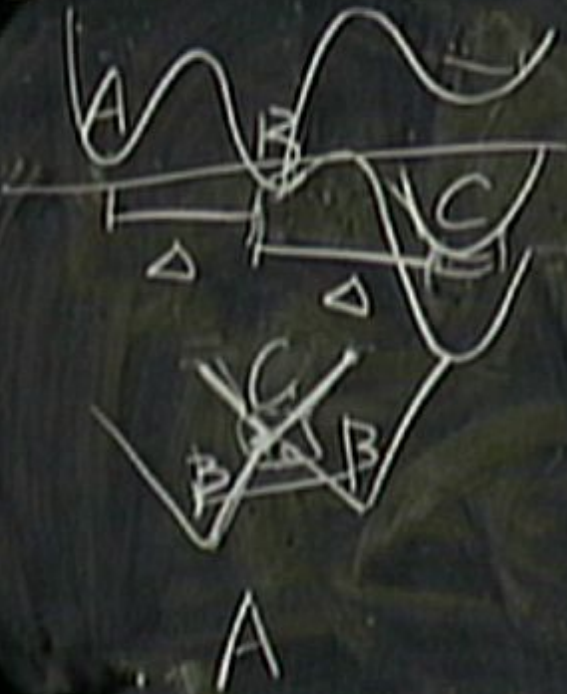


09107.3234,  
1005.3493  
1005.3506

E. G, H, L  
G, H, L, Y  
J. Y



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09107.3234,  
1005.3493  
1005.3506

E, G, H, L

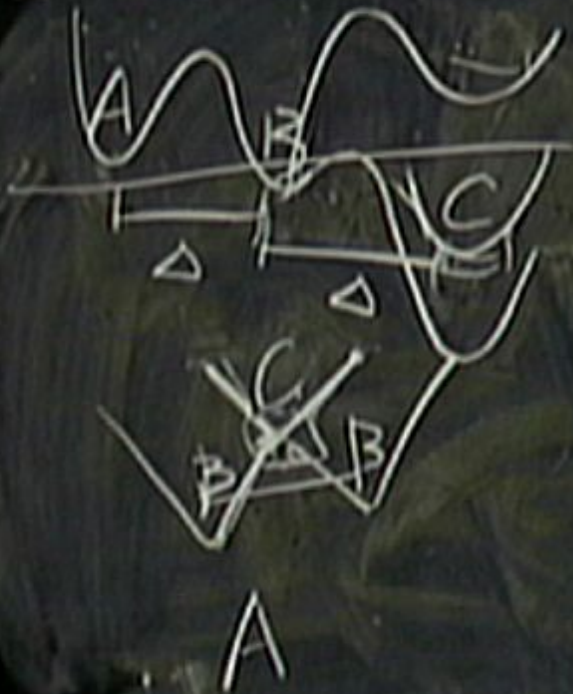
G, H, L, Y

J, Y

V<sub>c</sub> < V<sub>A</sub>



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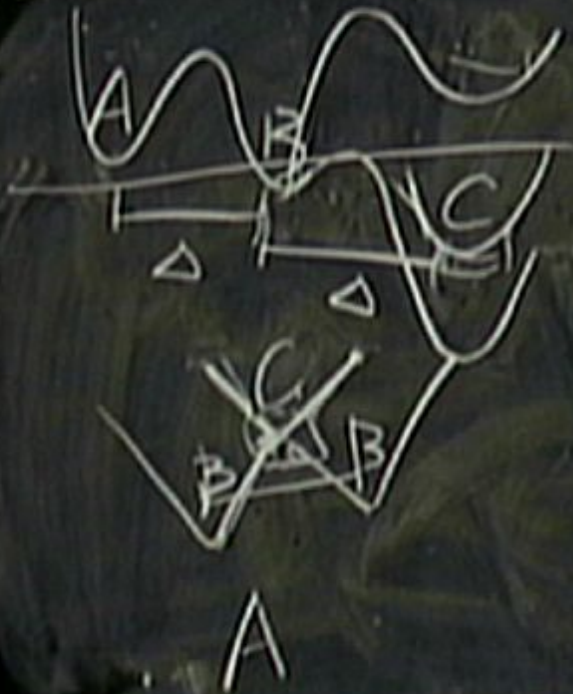
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E. G, H, L  
G, H, L, Y  
J. Y

$V_C < V_A$   
 $V_C > V_B$



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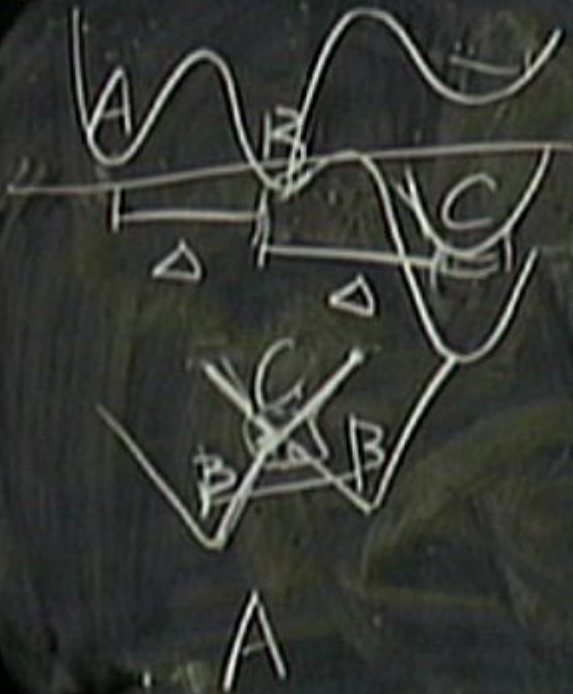
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1005.3493  
1005.3506

E. G, H, L  
G, H, L, Y  
J. Y

$V_C < V_A$   
 $V_C > V_B$



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09107.3234,  
1005.3493  
1005.3506

E, G, H, L  
G, H, L, Y  
J, Y

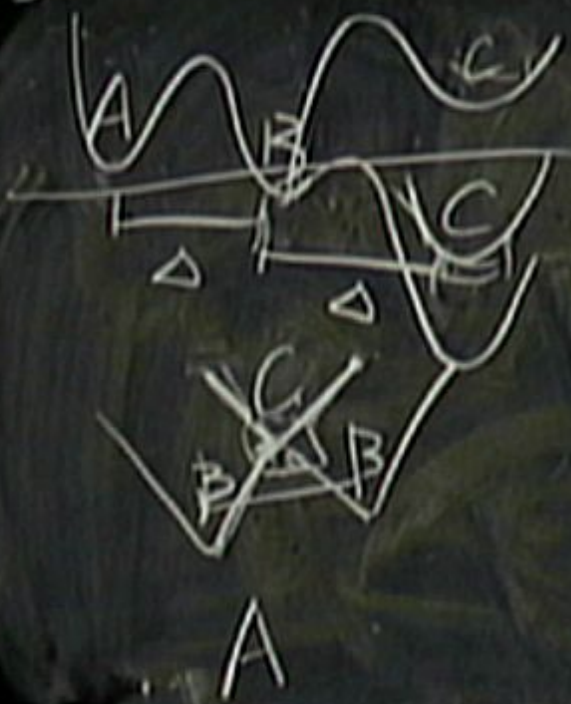
$V_C < V_A$

$V_C > V_B$





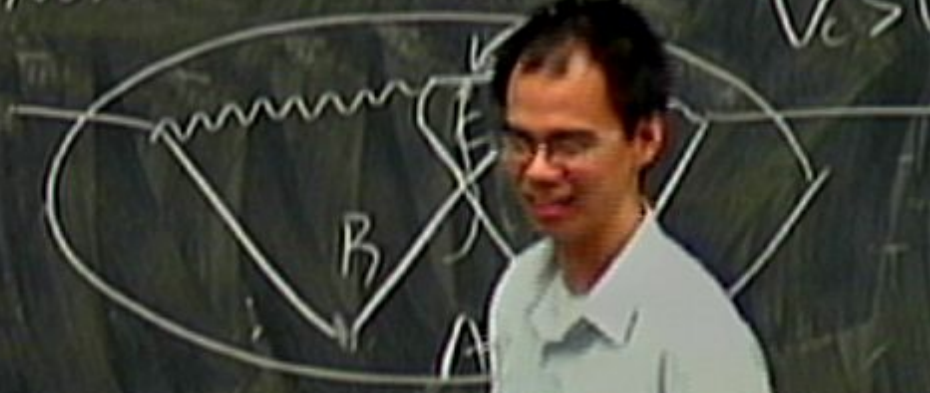
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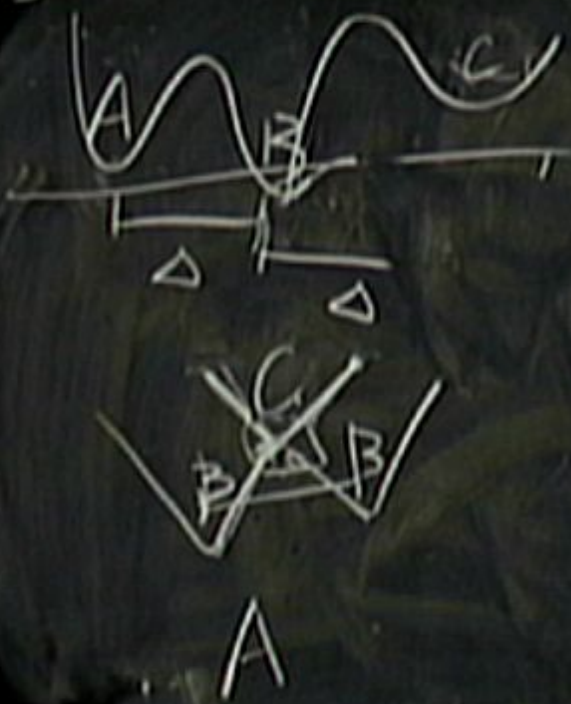
09107.3234,  
1005.3493  
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E, G, H, L  
G, H, L, Y  
J, Y

$V_C < V_A$   
 $V_C > V_B$



①



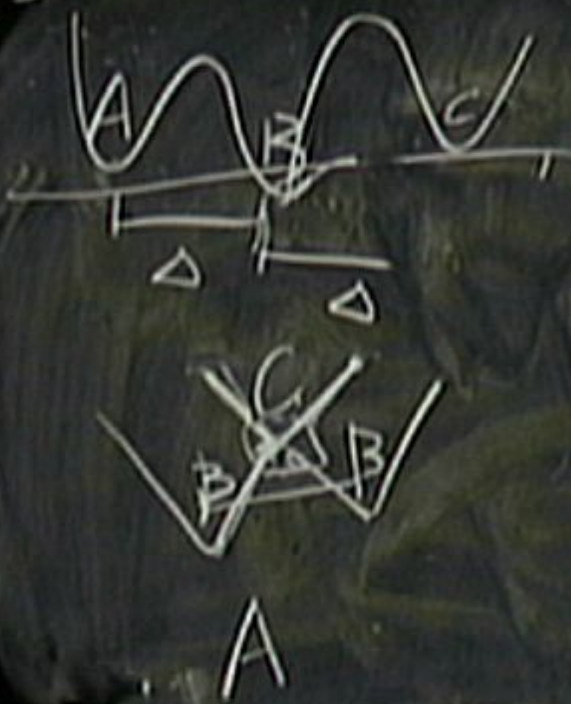
09107.3234,  
 1005.3493  
 1005.3506

E. G, H, L  
 G, H, L, Y  
 J. Y

$V_C < V_A$   
 $V_C > V_B$



①

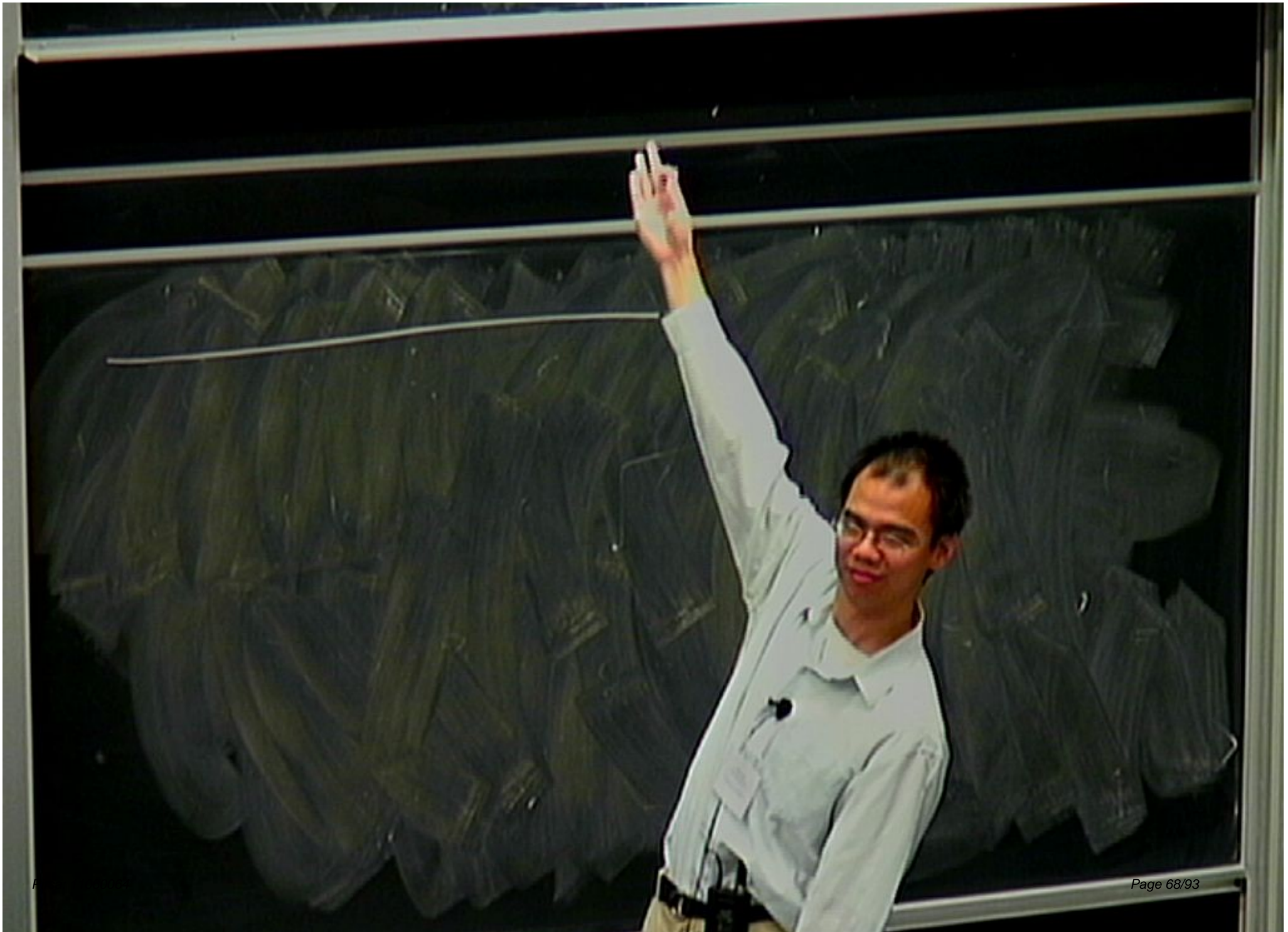


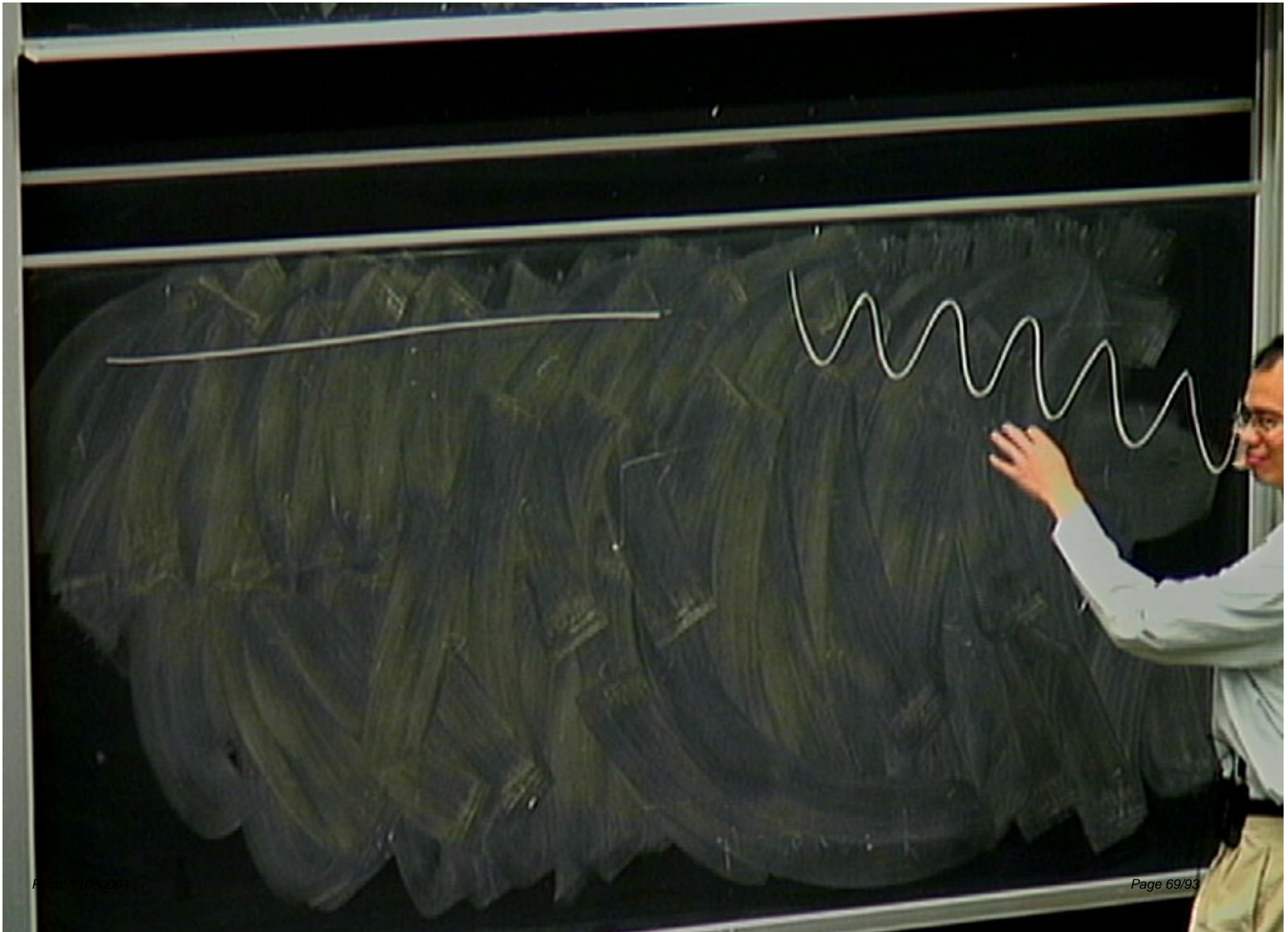
0907.3234,  
1005.3493  
1005.3506

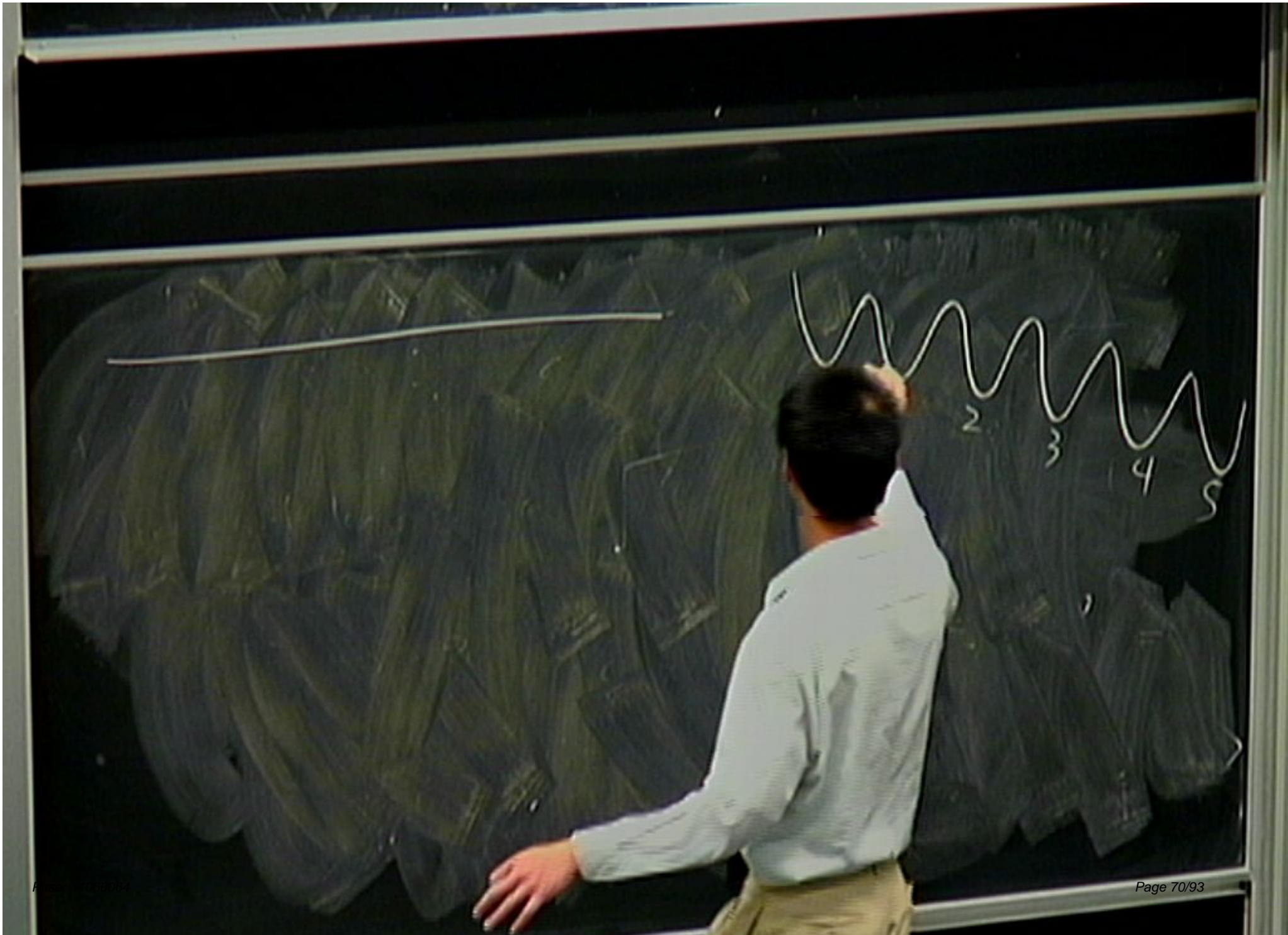
E, G, H, L  
G, H, L, Y  
J, Y

$V_C < V_A$   
 $V_C > V_B$













0

$$\# \text{ Vac} = \# \text{ nuc}$$







0

$$\# \text{ Vac} = \# \text{ nuc.}$$

0903.2048 BF,



0

1

2

4

5



0

$$\# \text{ Vac} = \# \text{ nuc.}$$



0903.2048 BF, M, ,

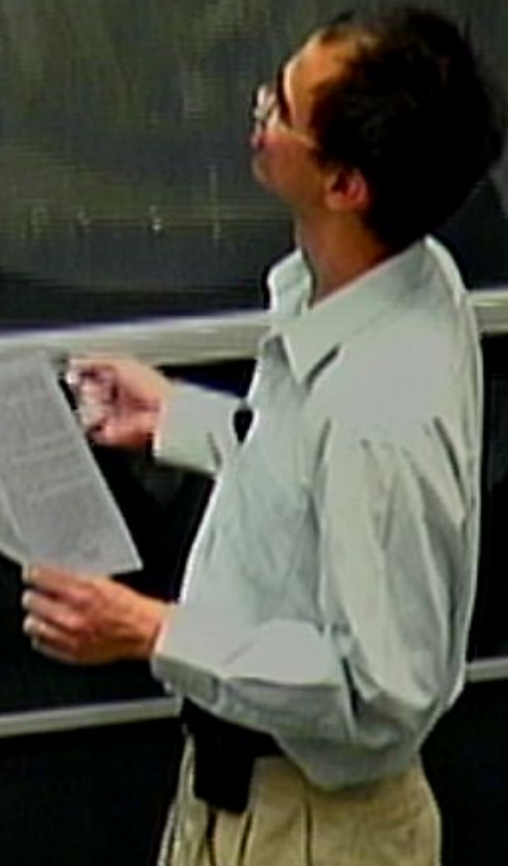
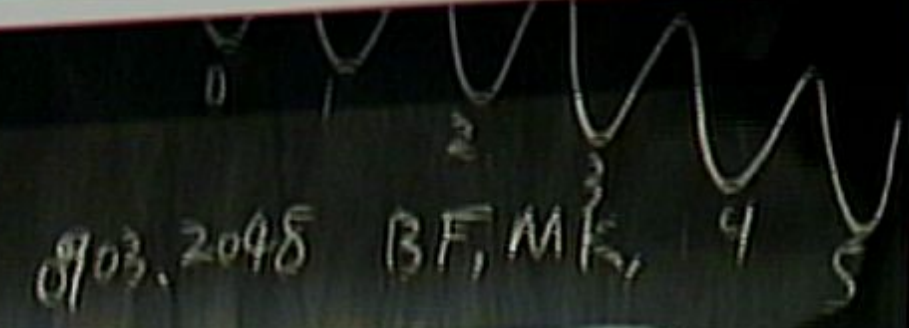
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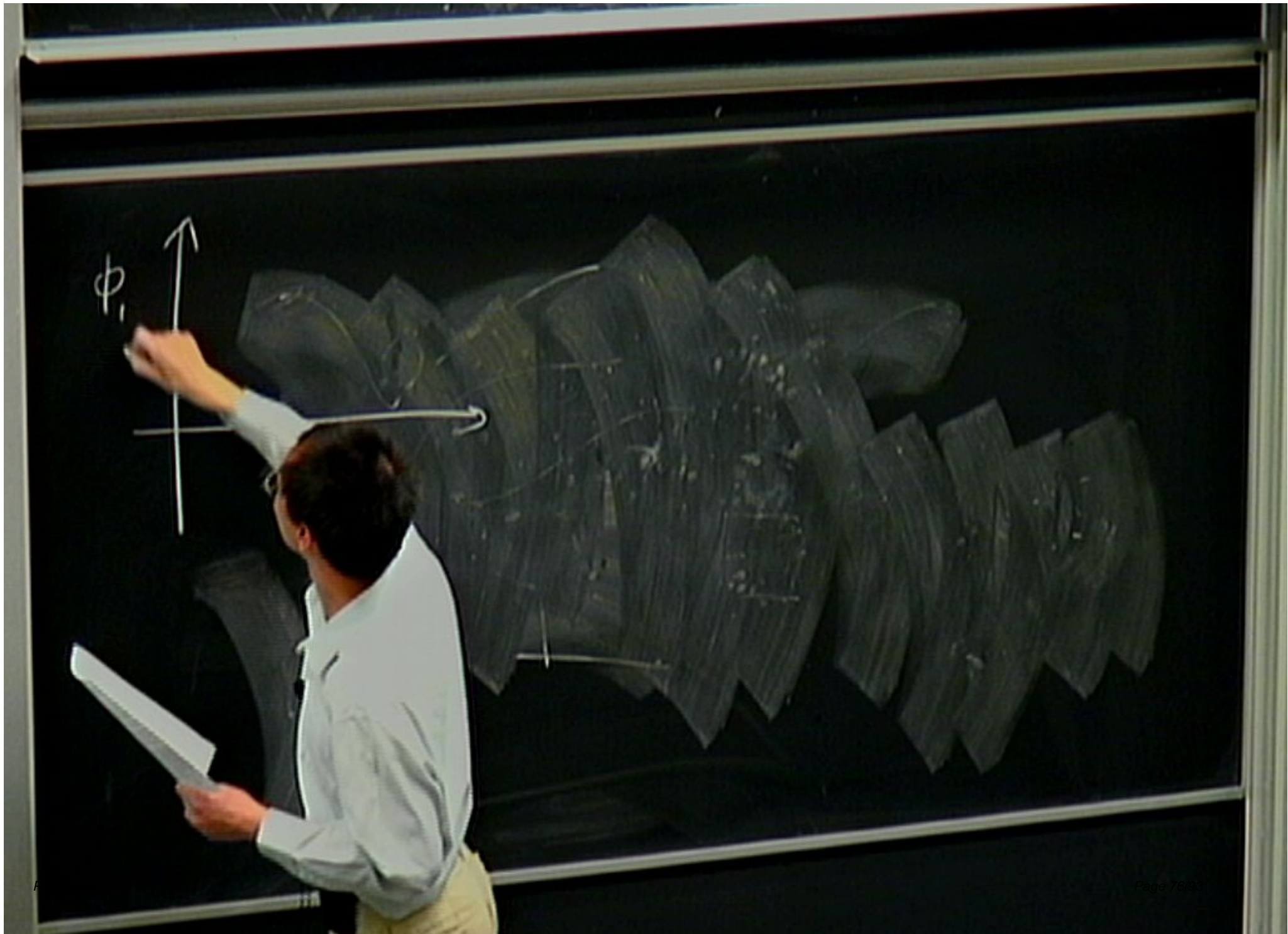
$$\# \text{Val} = \# \text{ nuc.}$$

0/03.2048

BF, MK,

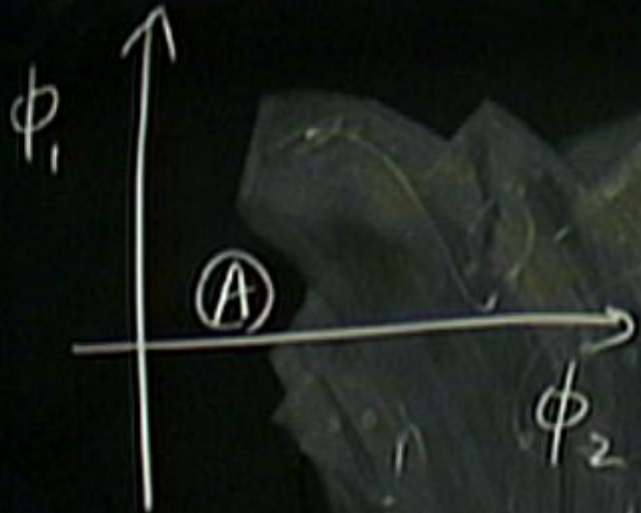
9





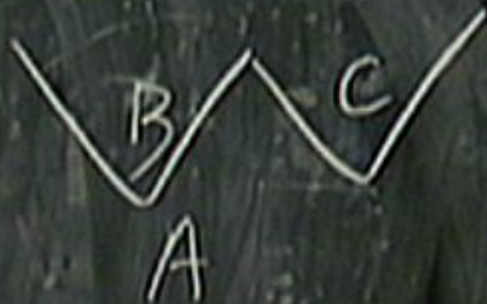
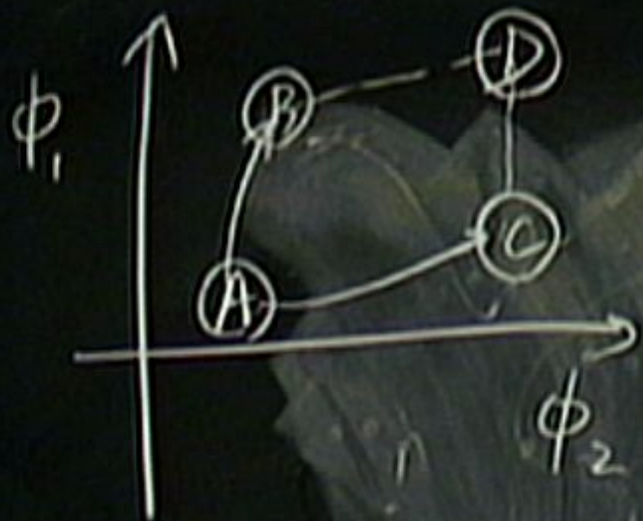
$\phi$

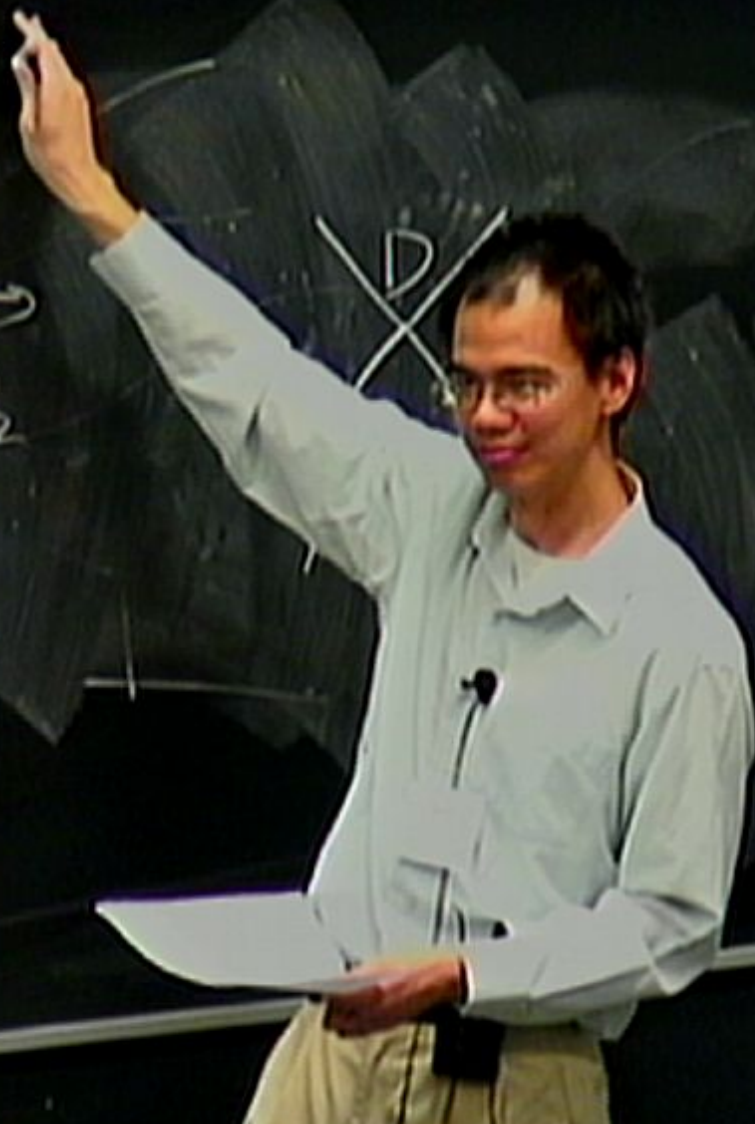
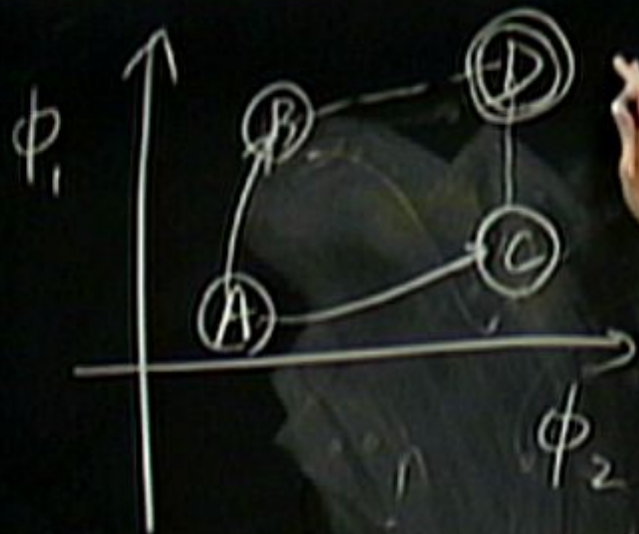


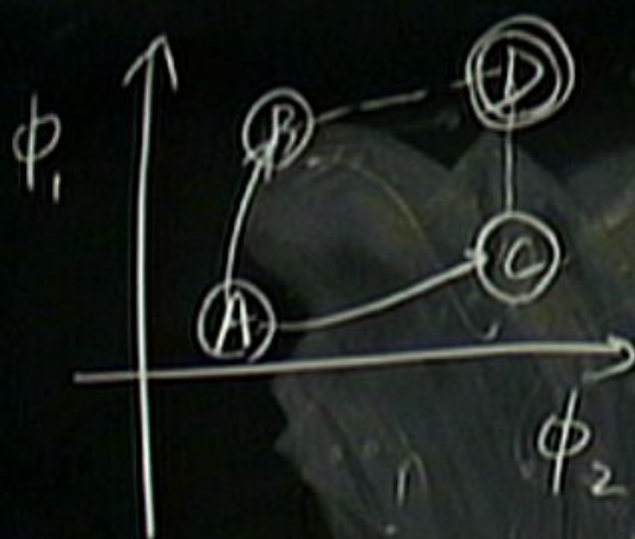


A





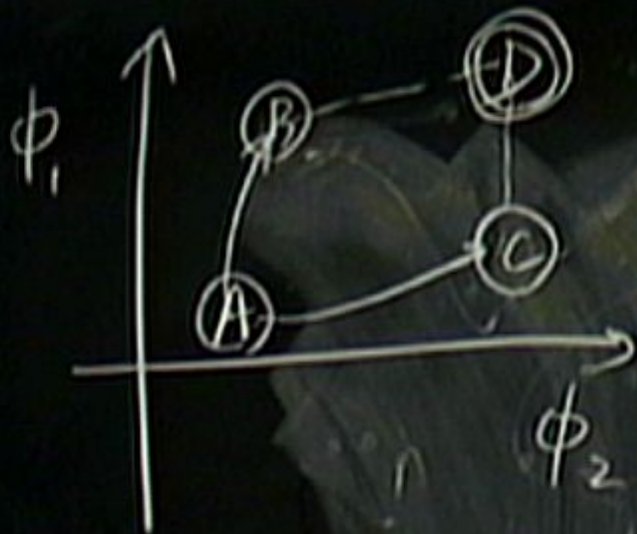




$$\frac{1}{2}(\cancel{\phi_1})^2 + \frac{1}{2}(\partial\phi_1)^2$$

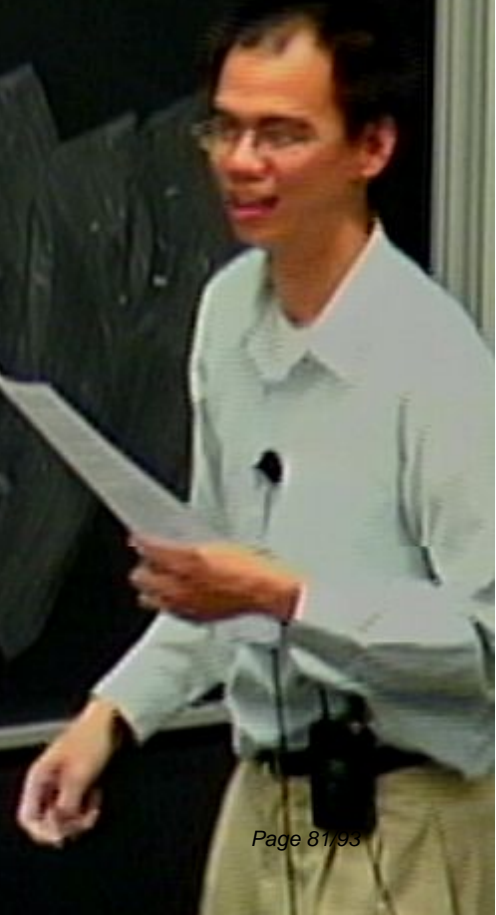
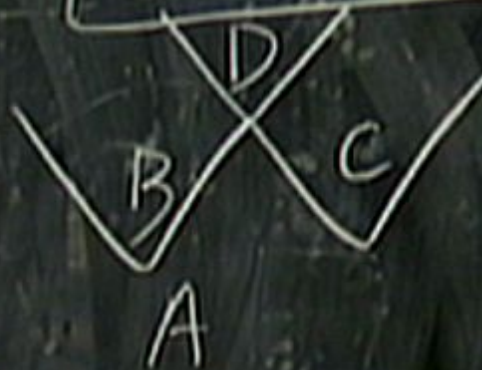


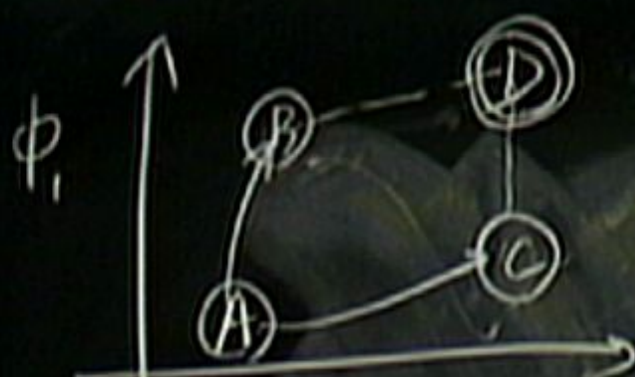




$$\frac{1}{2}(\partial\phi_1)^2 + \frac{1}{2}(\partial\phi_2)^2$$

$$\frac{1}{2}K_{ab}(\partial\phi^a)(\partial\phi^b)$$



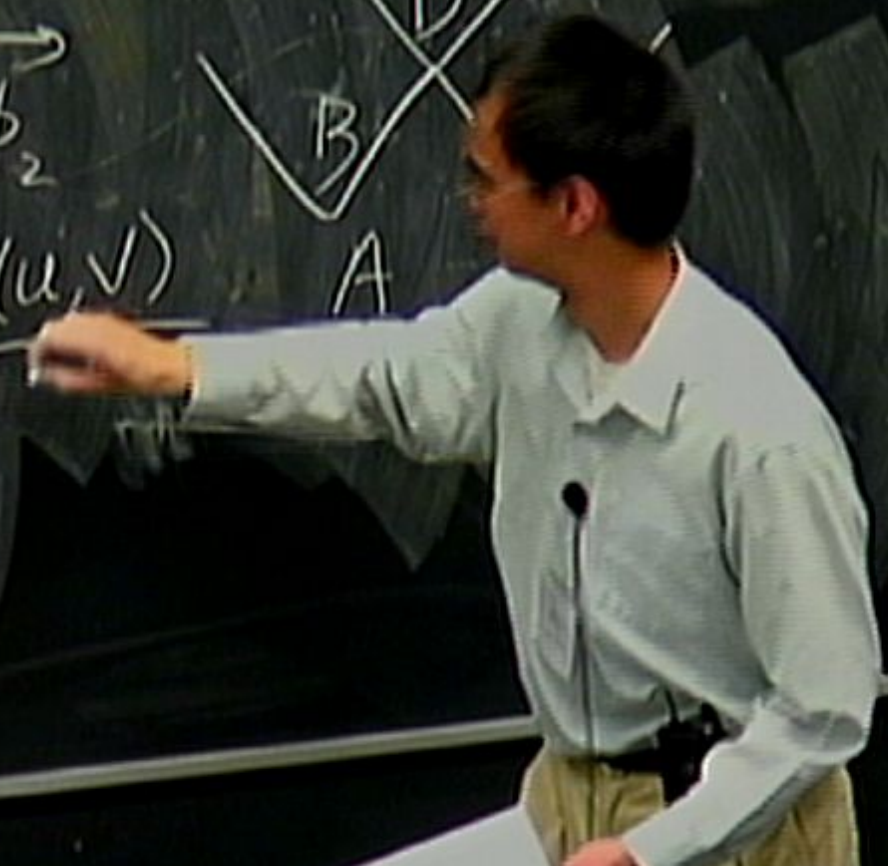


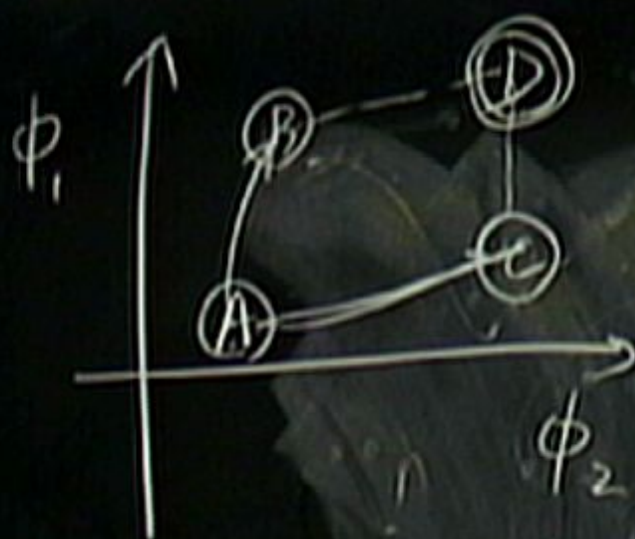
$$\frac{1}{2}(\dot{\phi}_1)^2 + \frac{1}{2}(\dot{\phi}_2)^2$$

$$\frac{1}{2}K_{ab}(\partial\phi^a)(\partial\phi^b)$$



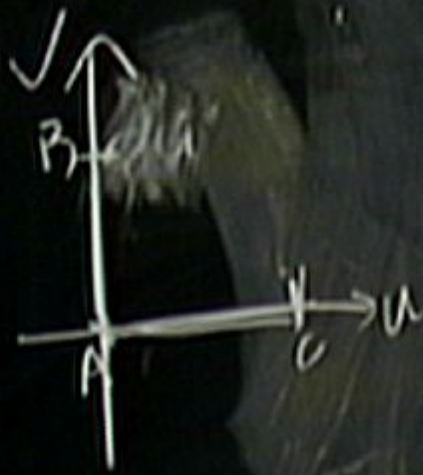
$\phi(u, v)$



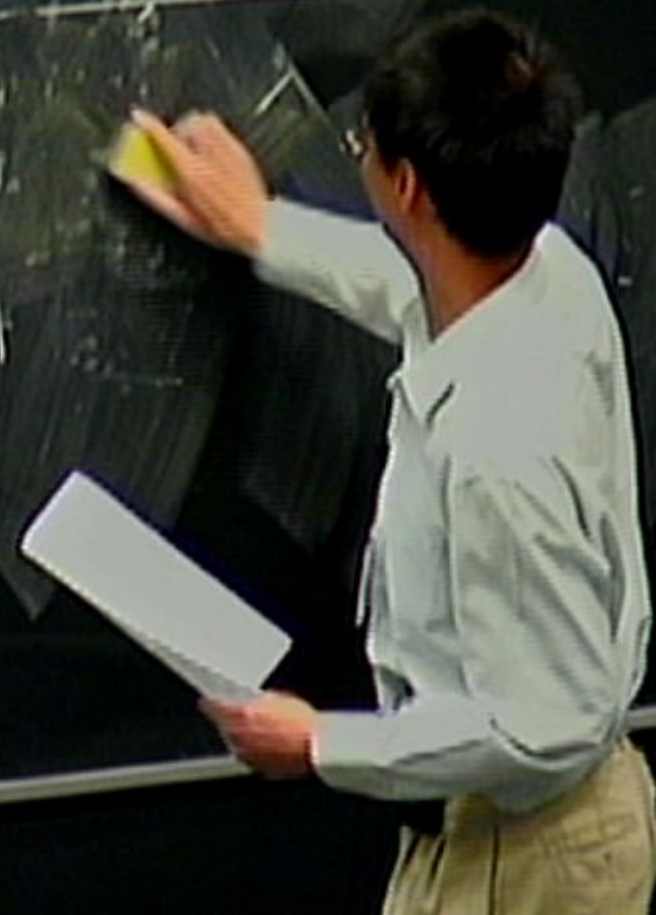


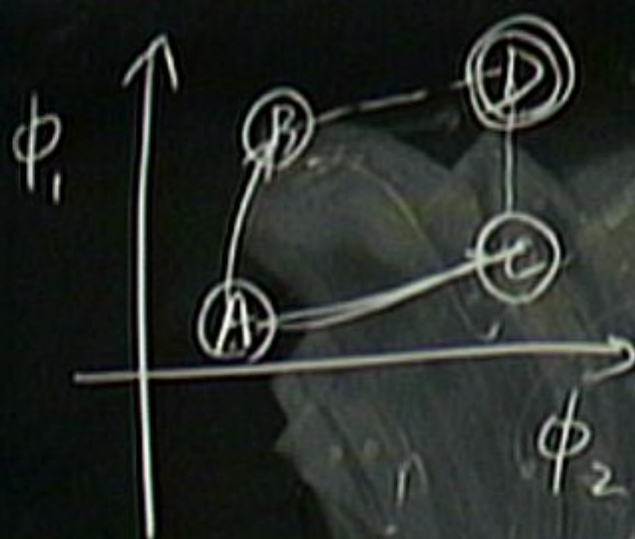
$$\frac{1}{2}(\partial\phi_1)^2 + \frac{1}{2}(\partial\phi_2)^2$$

$$\left[ \frac{1}{2} K_{ab} (\partial\phi^a)(\partial\phi^b) \right]$$



$$\phi(u, v)$$

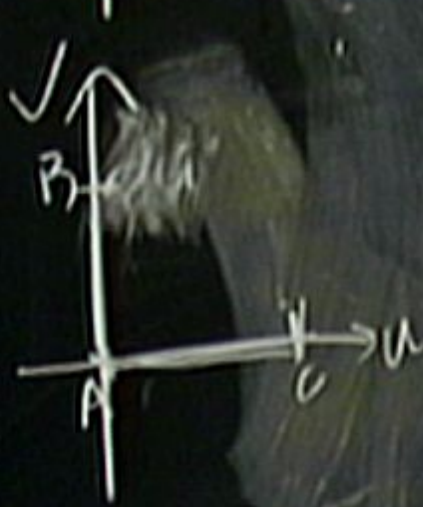




$$\frac{1}{2}(\partial\phi_1)^2 + \frac{1}{2}(\partial\phi_2)^2$$

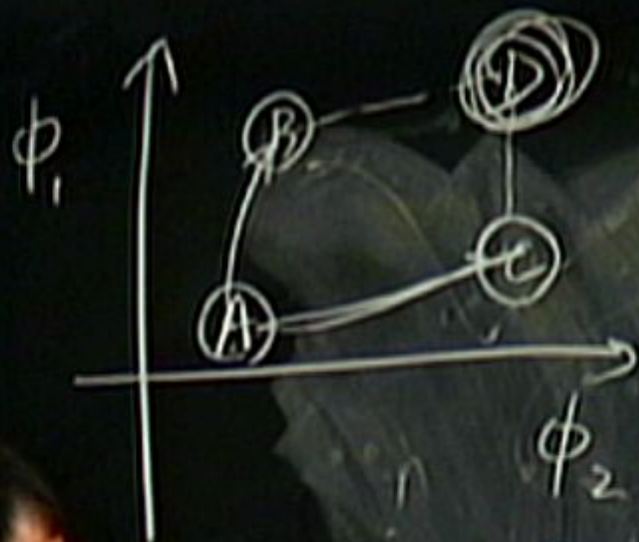
$$\left[ \frac{1}{2} K_{ab} (\partial\phi^a) (\partial\phi^b) \right]$$

$$\partial_u \partial_v \phi^a + \Gamma_{bc}^a (\partial_u \phi^b) (\partial_v \phi^c) = 0$$



$$\phi(u, v)$$





$$\frac{1}{2}(\partial\phi_1)^2 + \frac{1}{2}(\partial\phi_2)^2$$

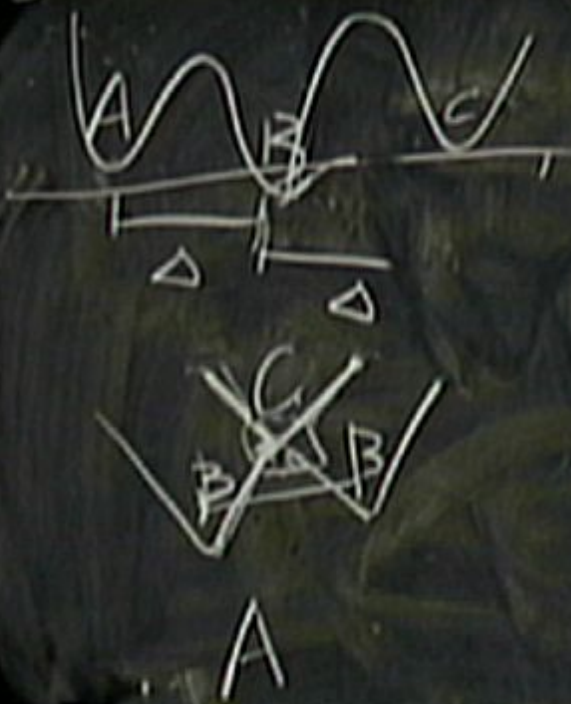
$$\left[ \frac{1}{2} K_{ab} (\partial\phi^a) (\partial\phi^b) \right]$$

$$\partial_u \partial_v \phi^a + \Gamma_{bc}^a (\partial_u \phi^b) (\partial_v \phi^c) = 0$$

$$\phi^a(u, v)$$



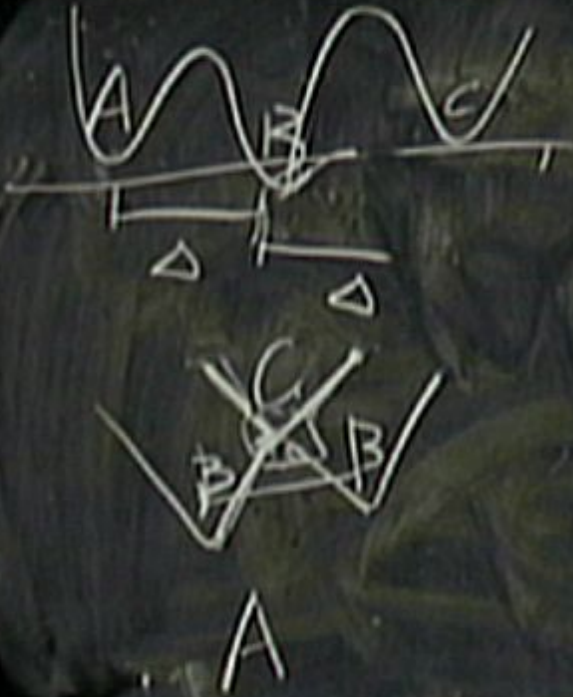
①



09107.3234, E.C H  
1005.3493  
1005.3506



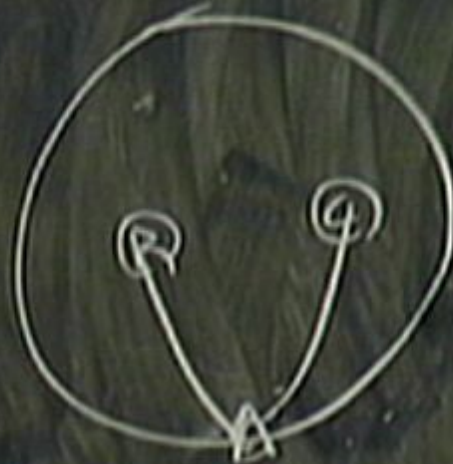
⊕



09107.3234, E.C. H

1005.3493

1005.3506



①



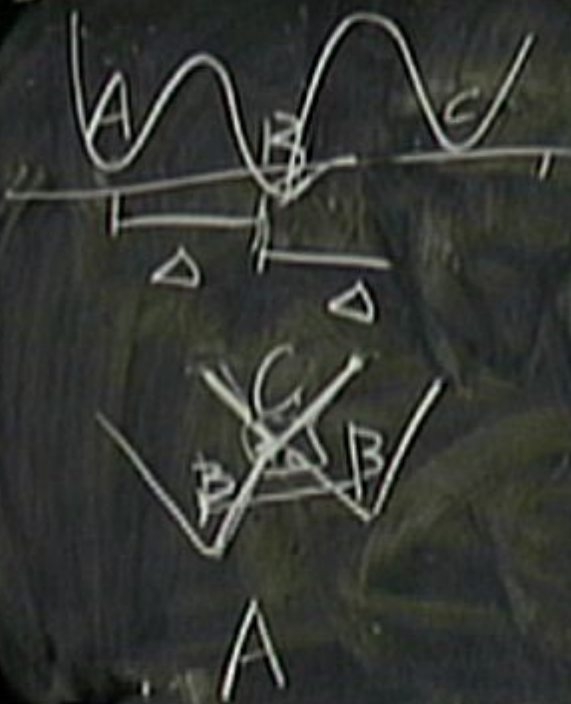
A

09107.3234, E.C. 4  
 1005.3493  
 1005.3506





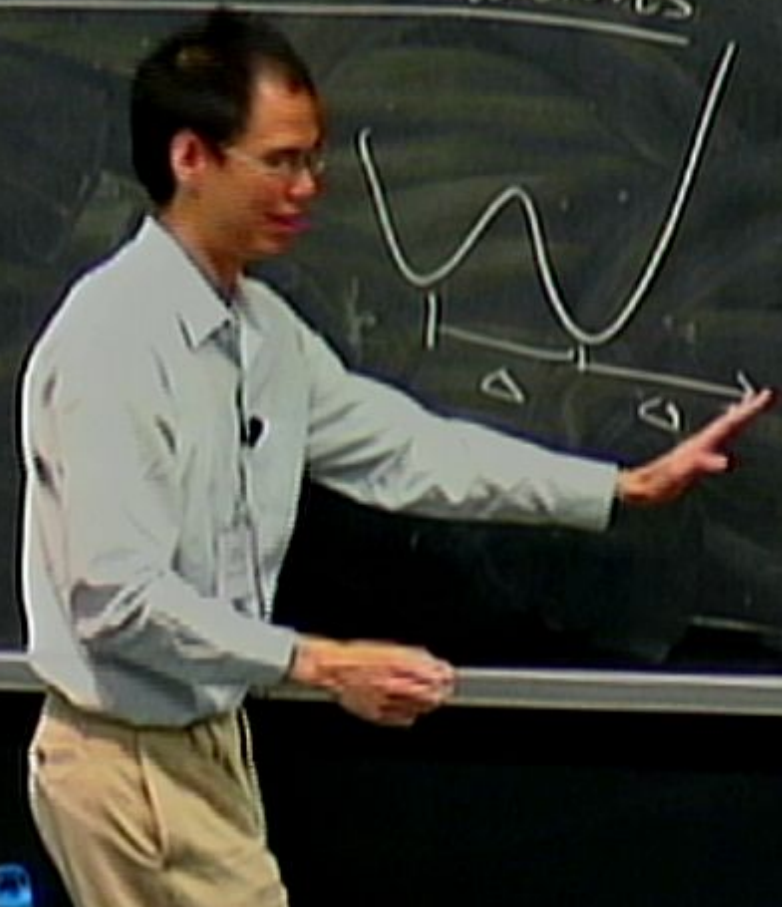
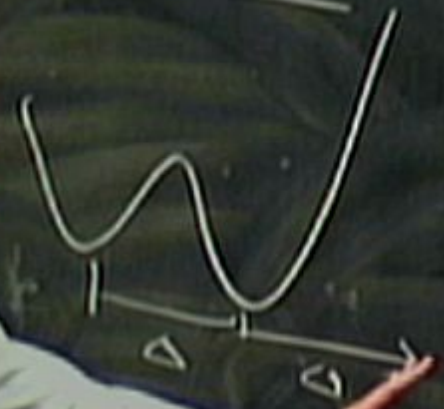
①



09107.3234, E.C.H  
1005.3493  
1005.3506



# Explore the Landscape through Classical Transitions



# Explore the Landscape through Classical Transitions



# Explore the Landscape through Classical Transitions



# Explore the Landscape through Classical Transitions

