Title: Everyday Einstein - The GPS & Relativity - (Not Richard Epp, actually 3 ladies...)

Date: Oct 22, 2010 07:00 PM

URL: http://www.pirsa.org/10100106

Abstract:


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YouTube - Dr Quantum - Flatland#t=14 - Windows Internet Explorer
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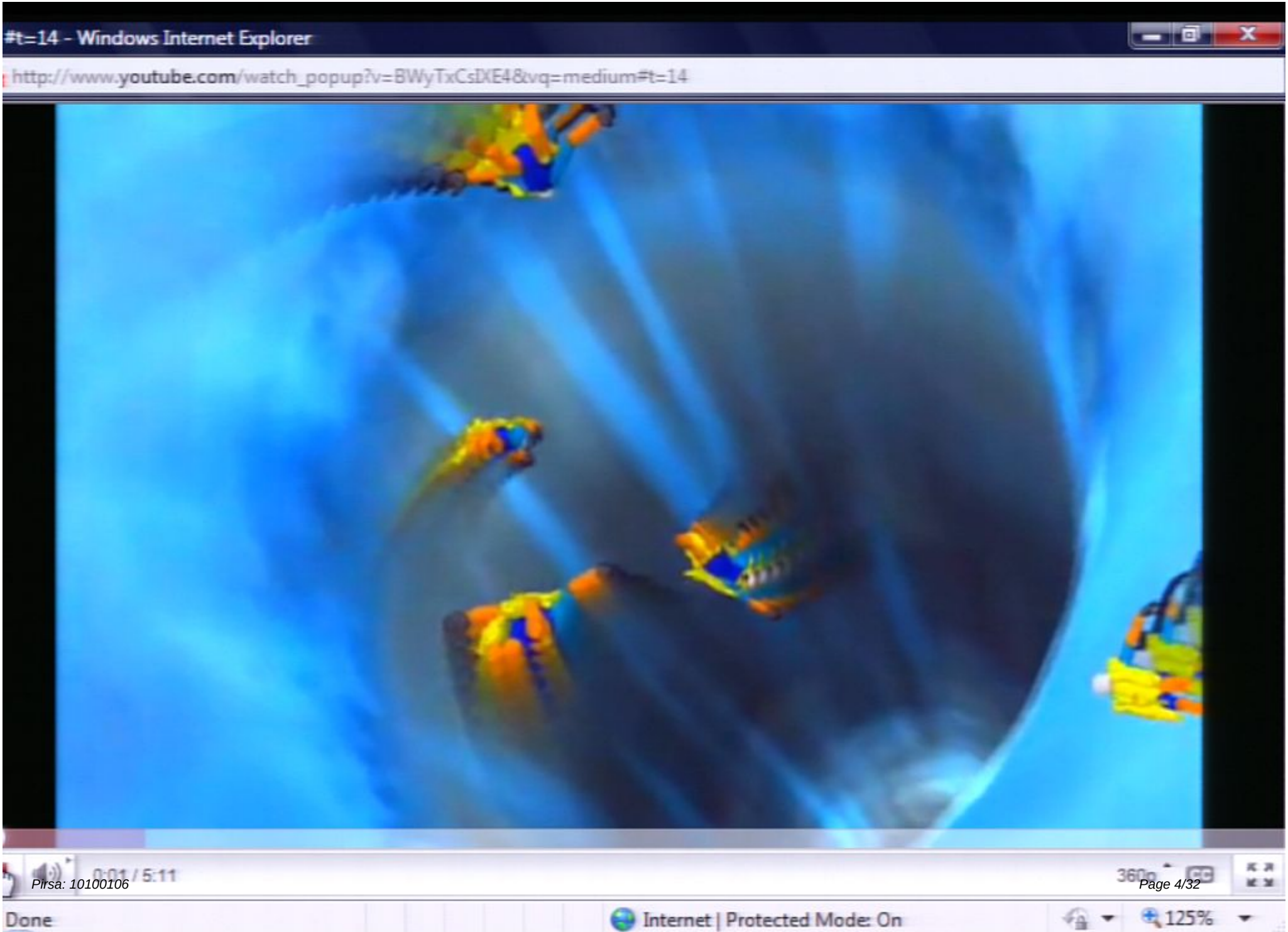
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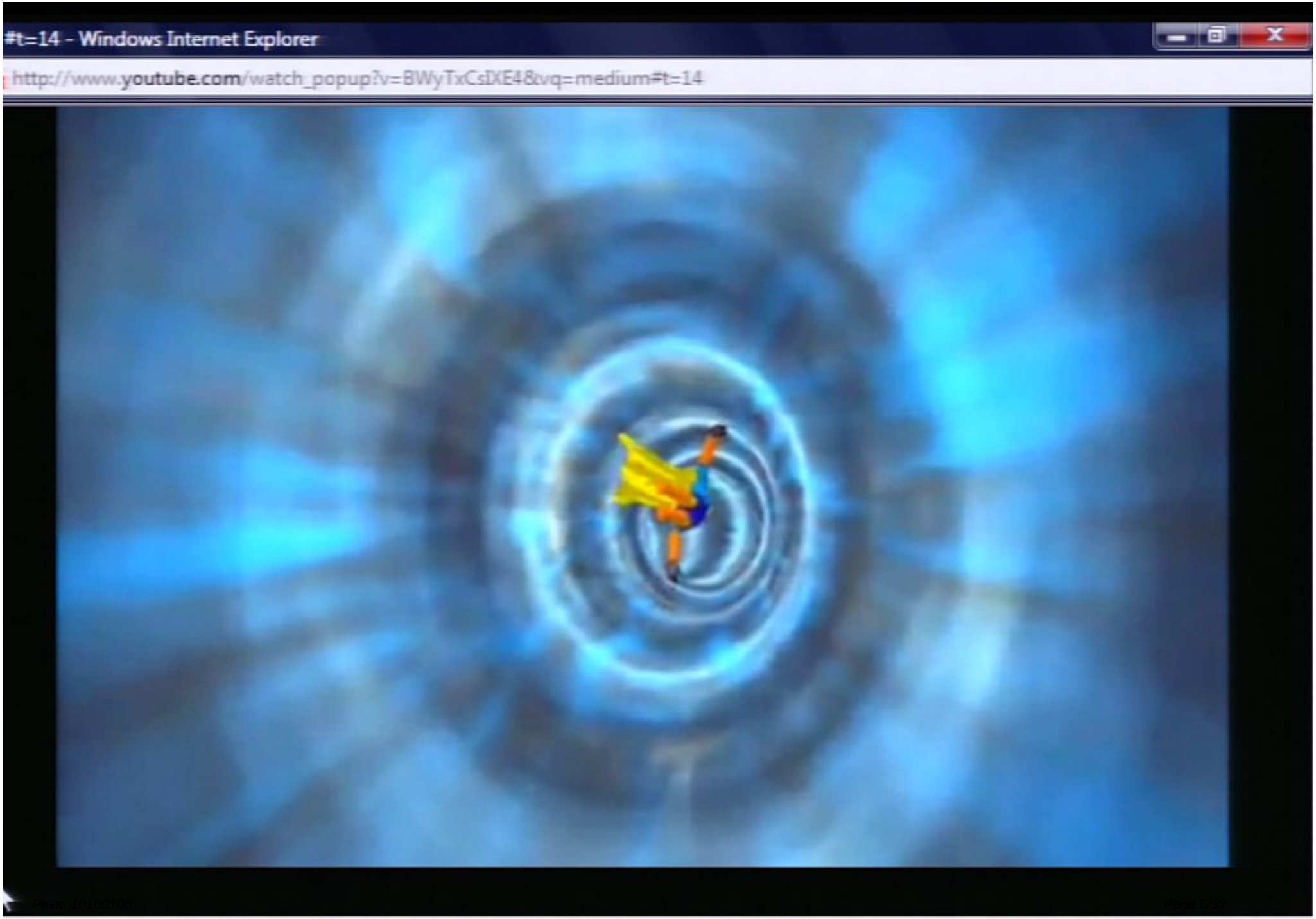
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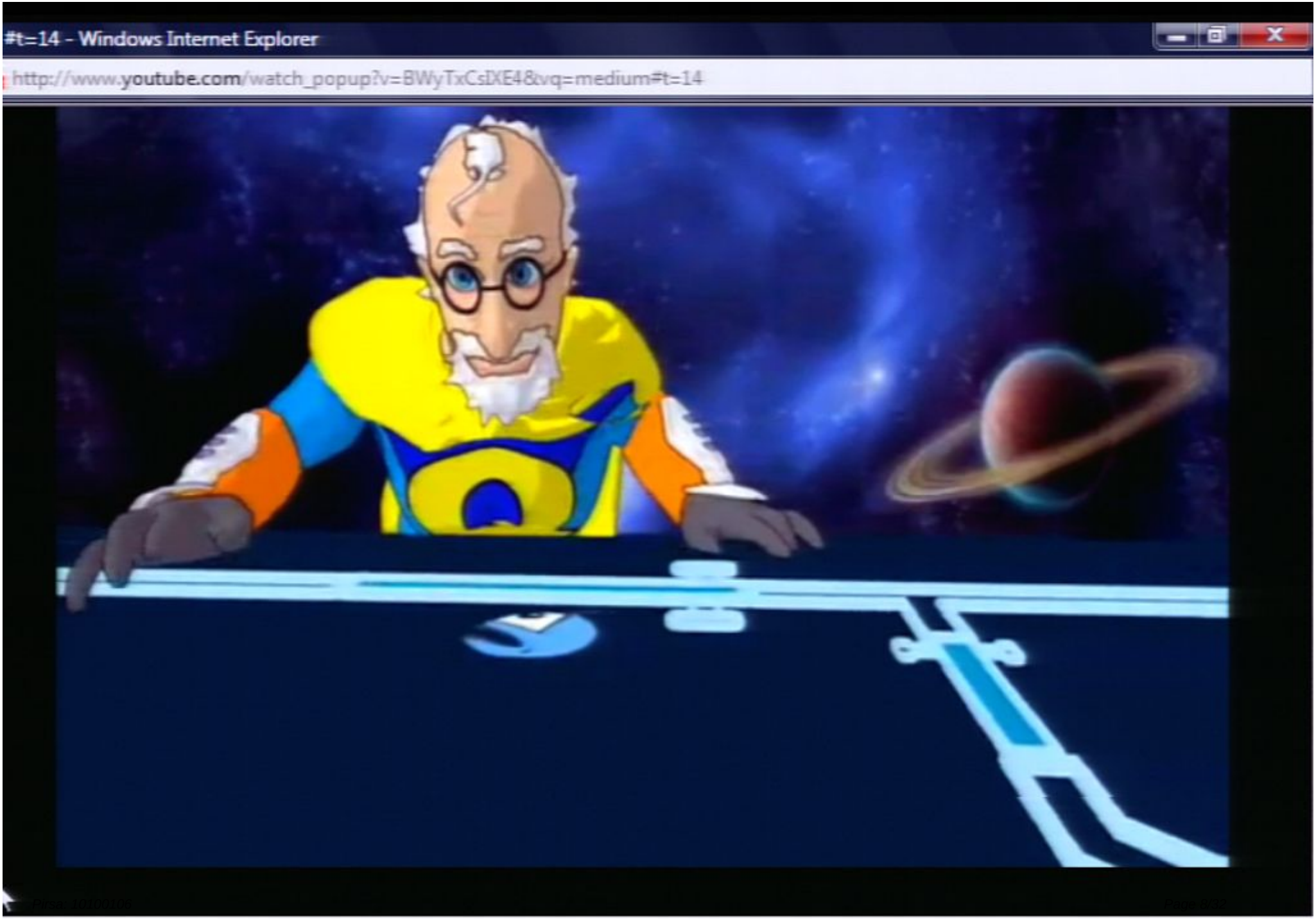
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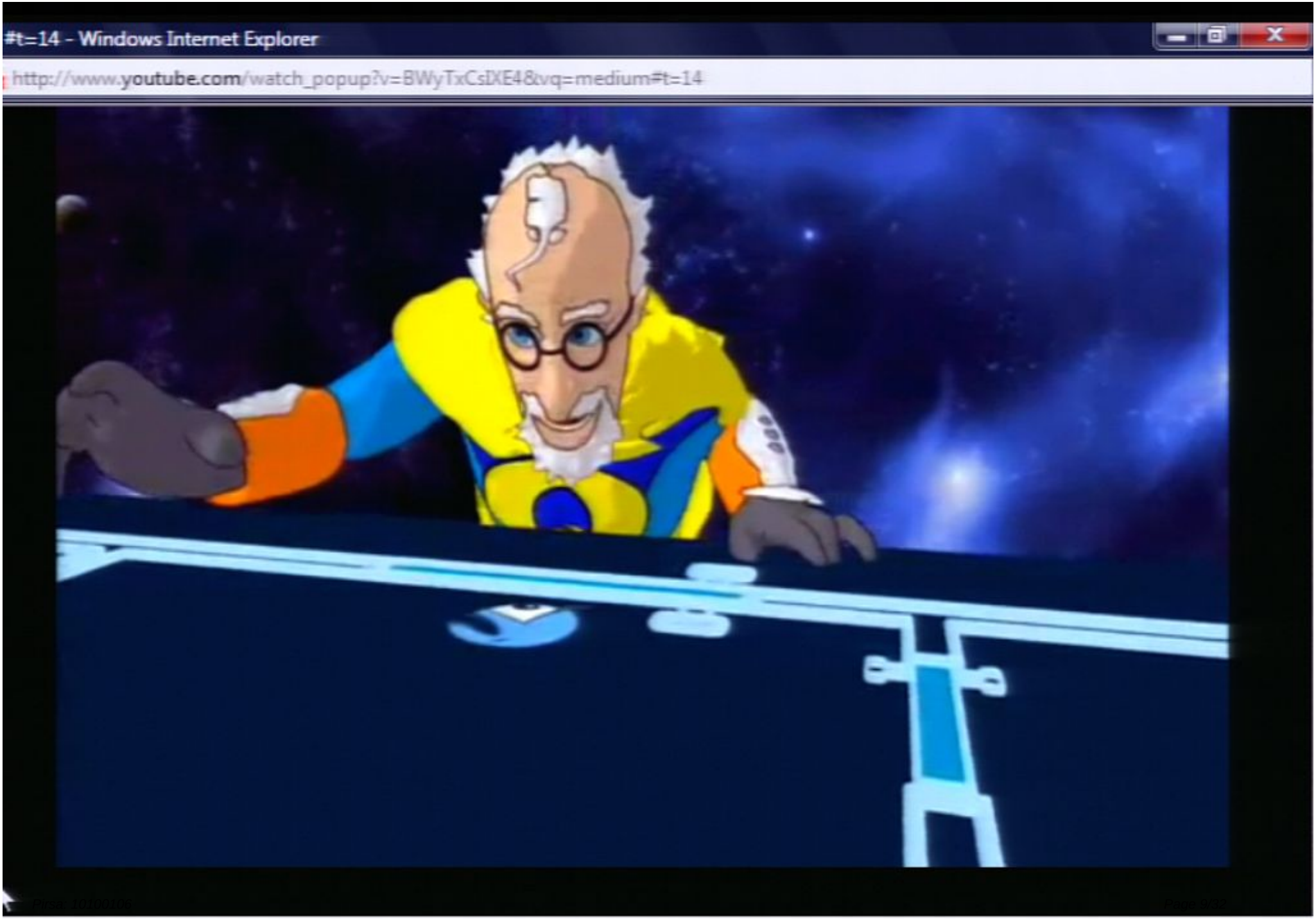
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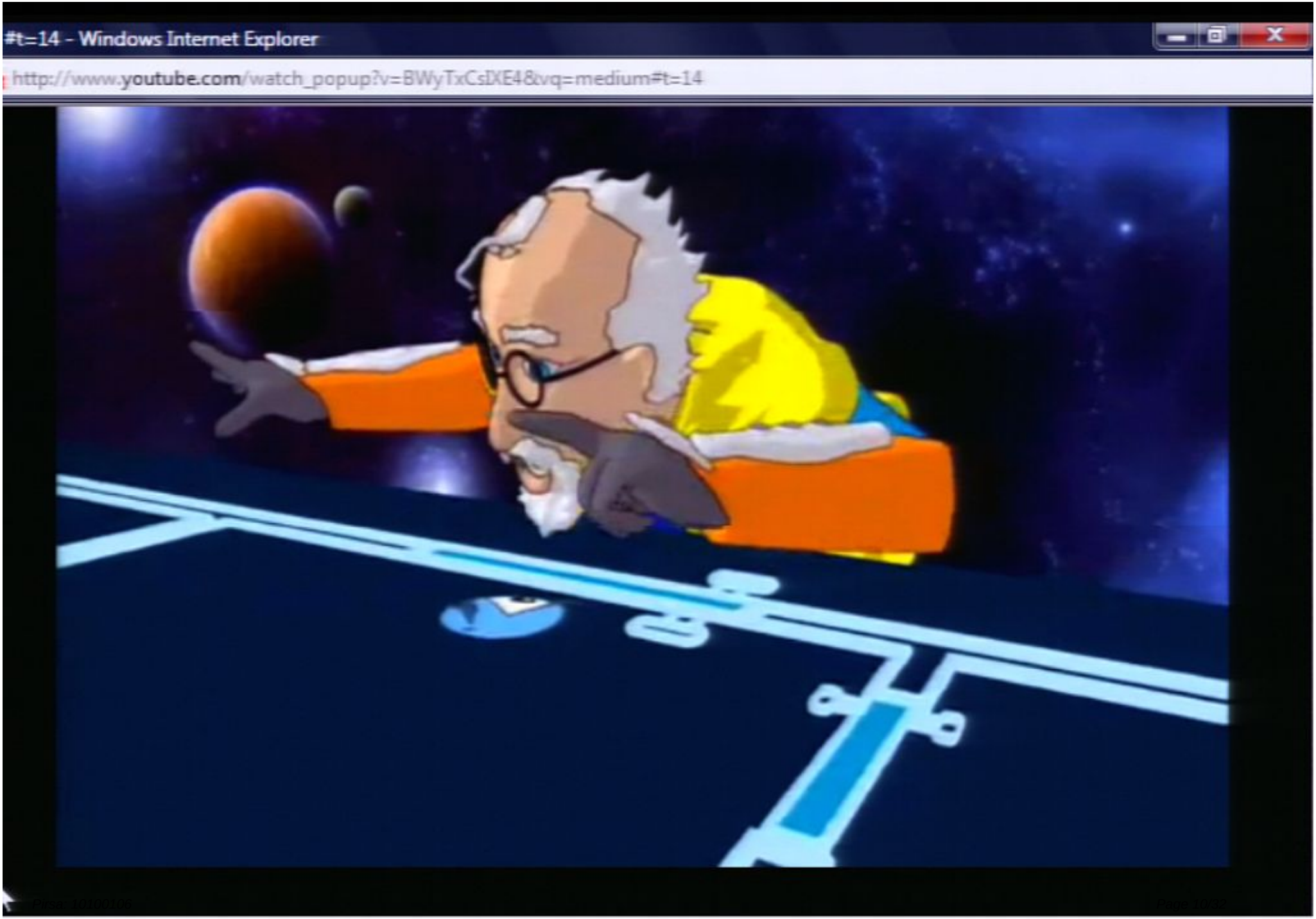
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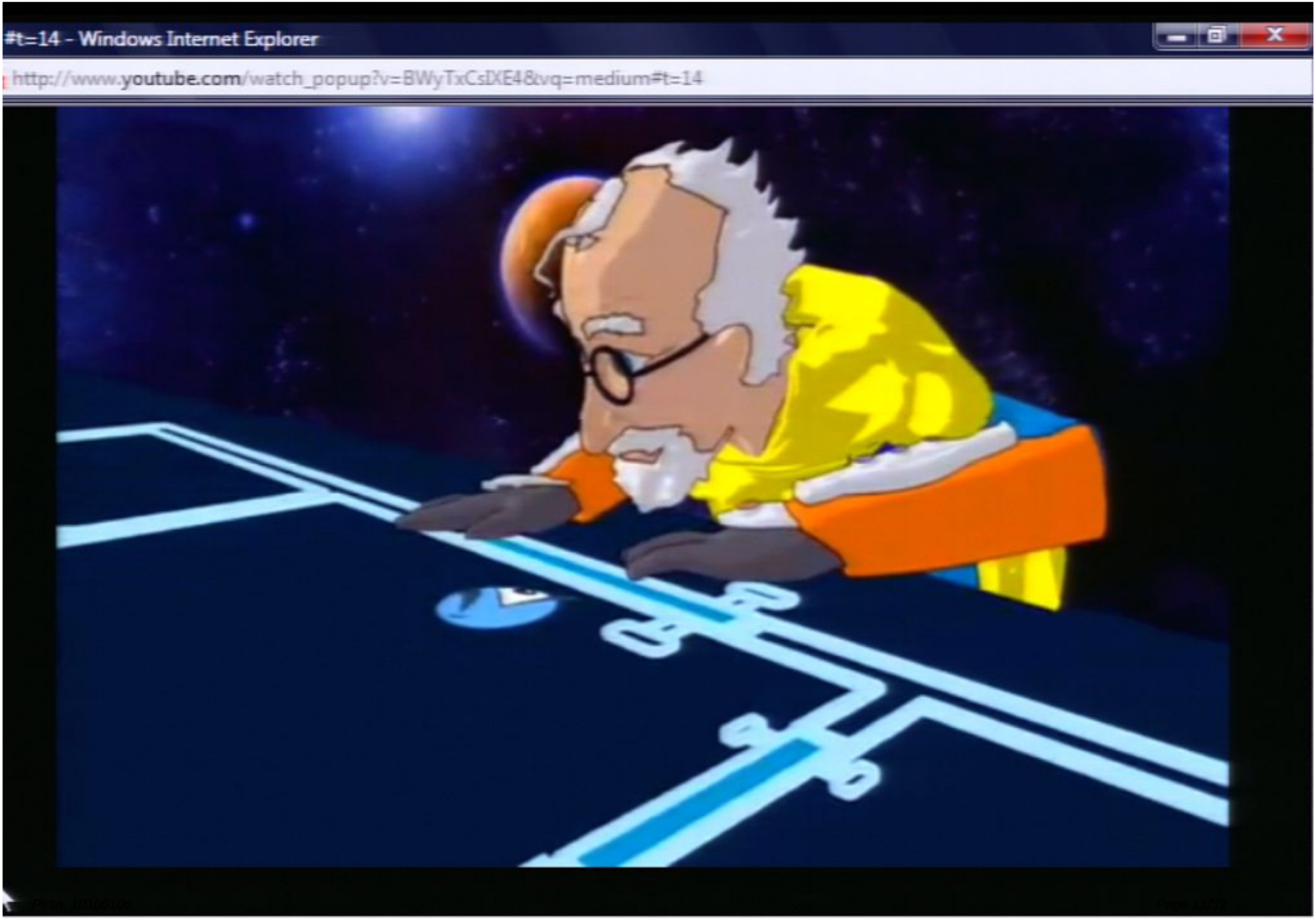
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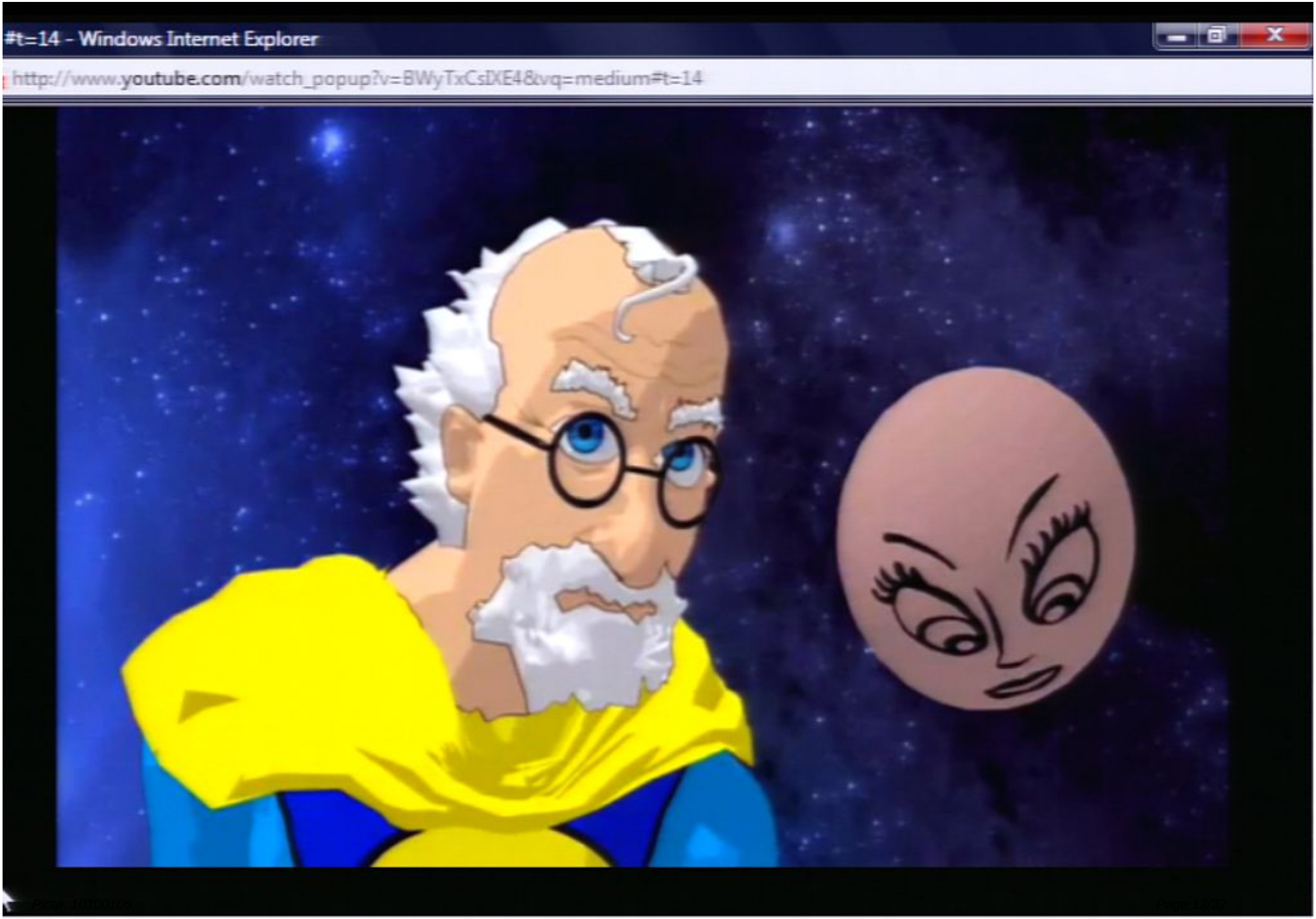
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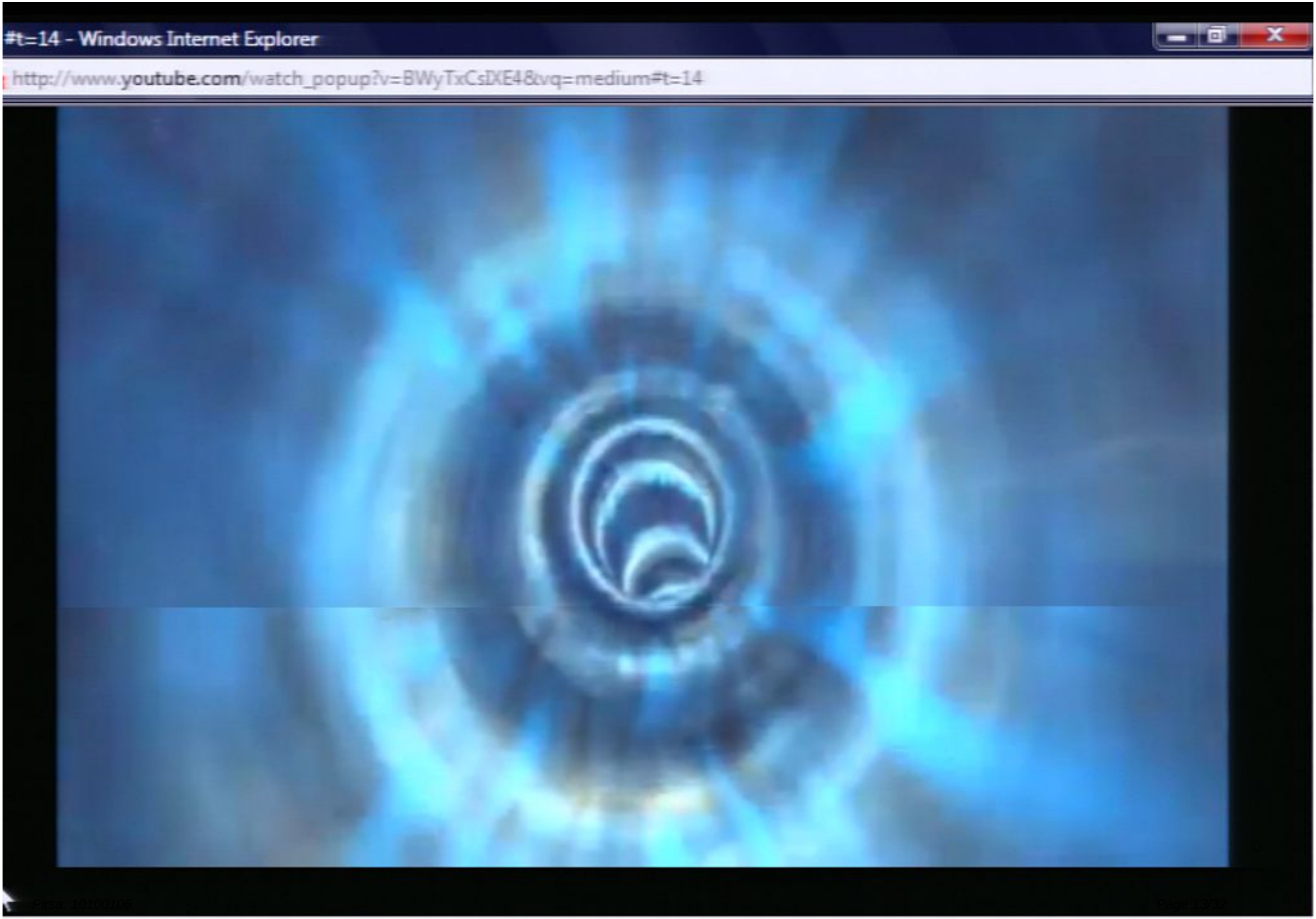
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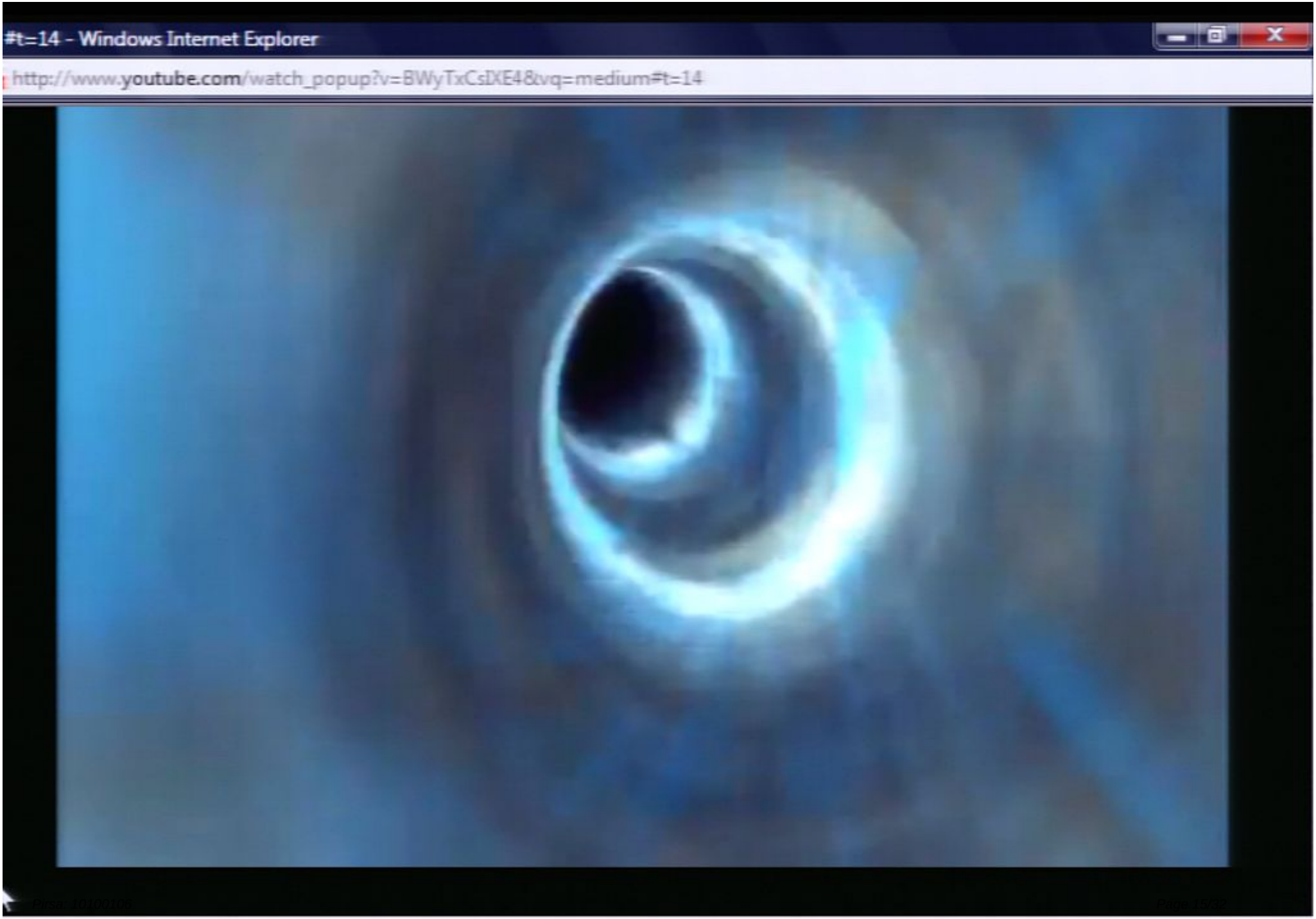
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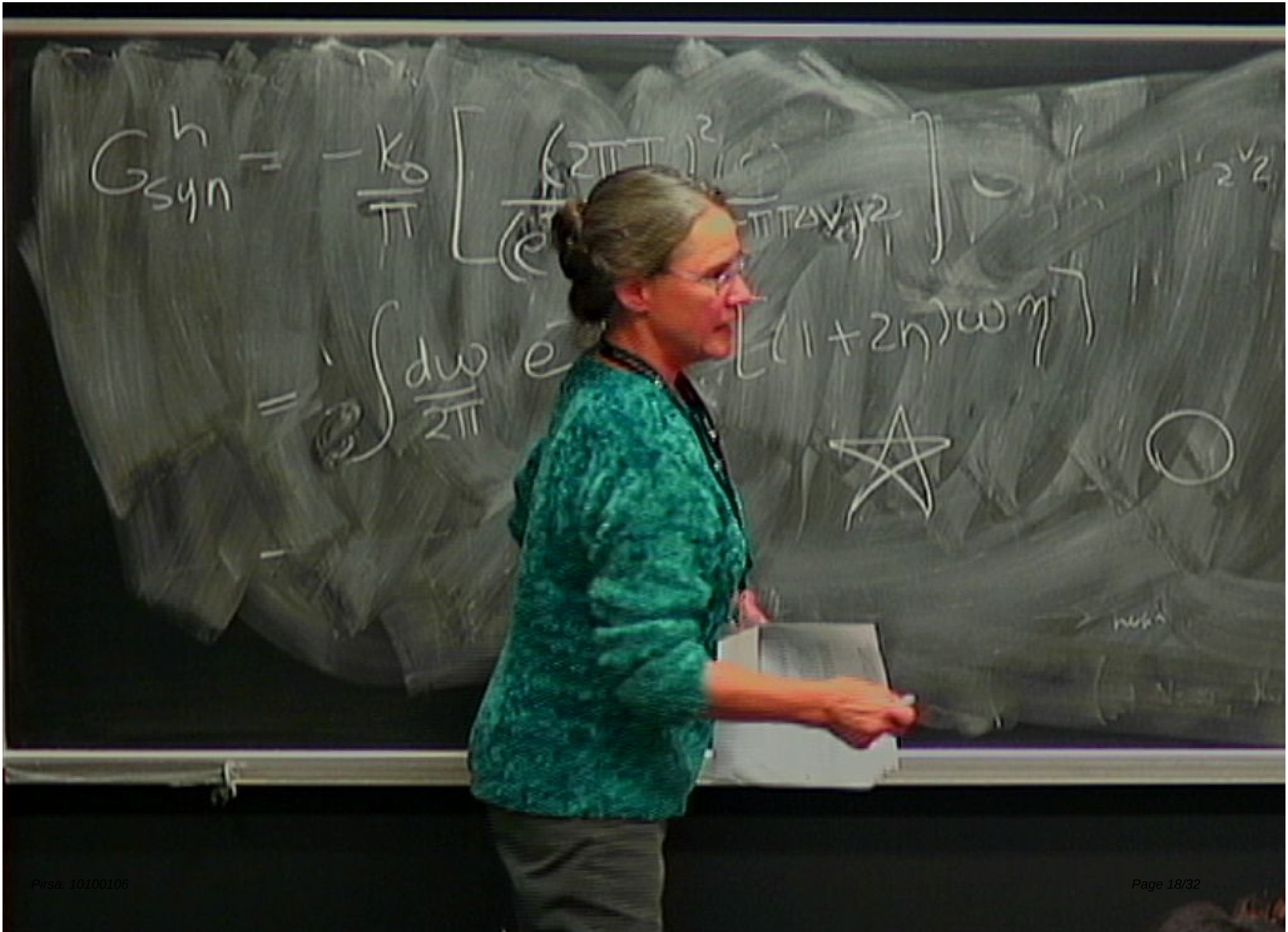
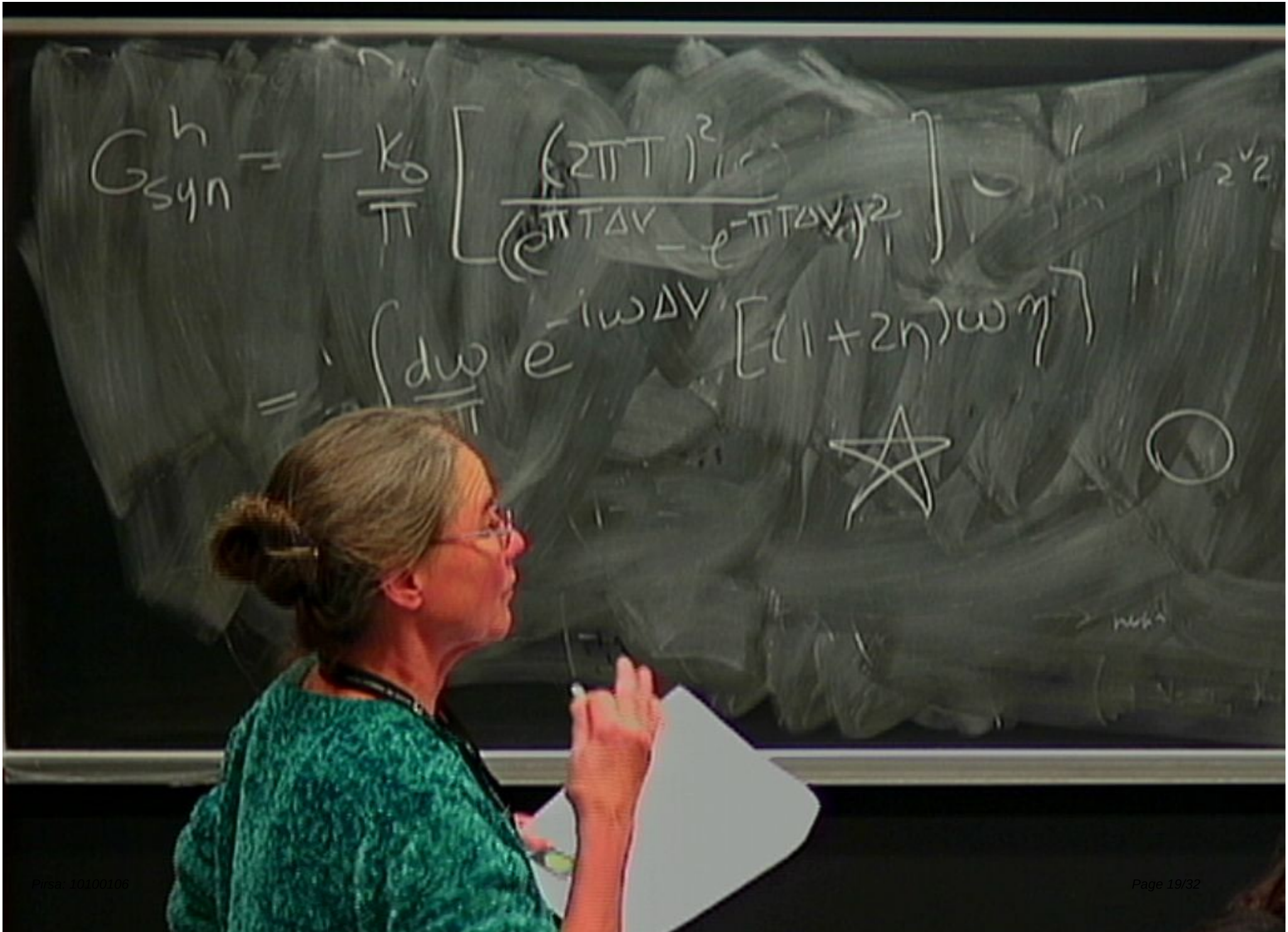
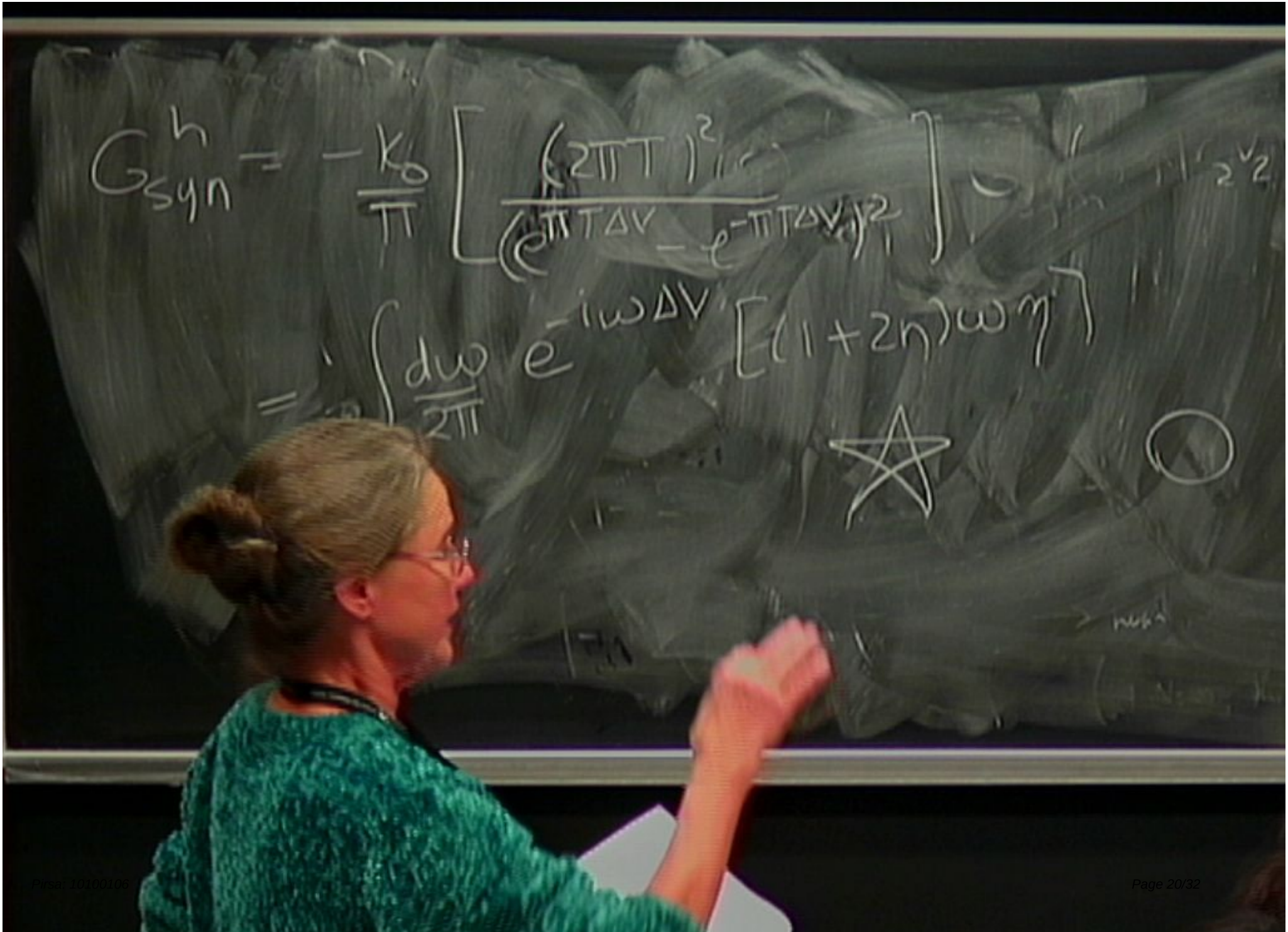
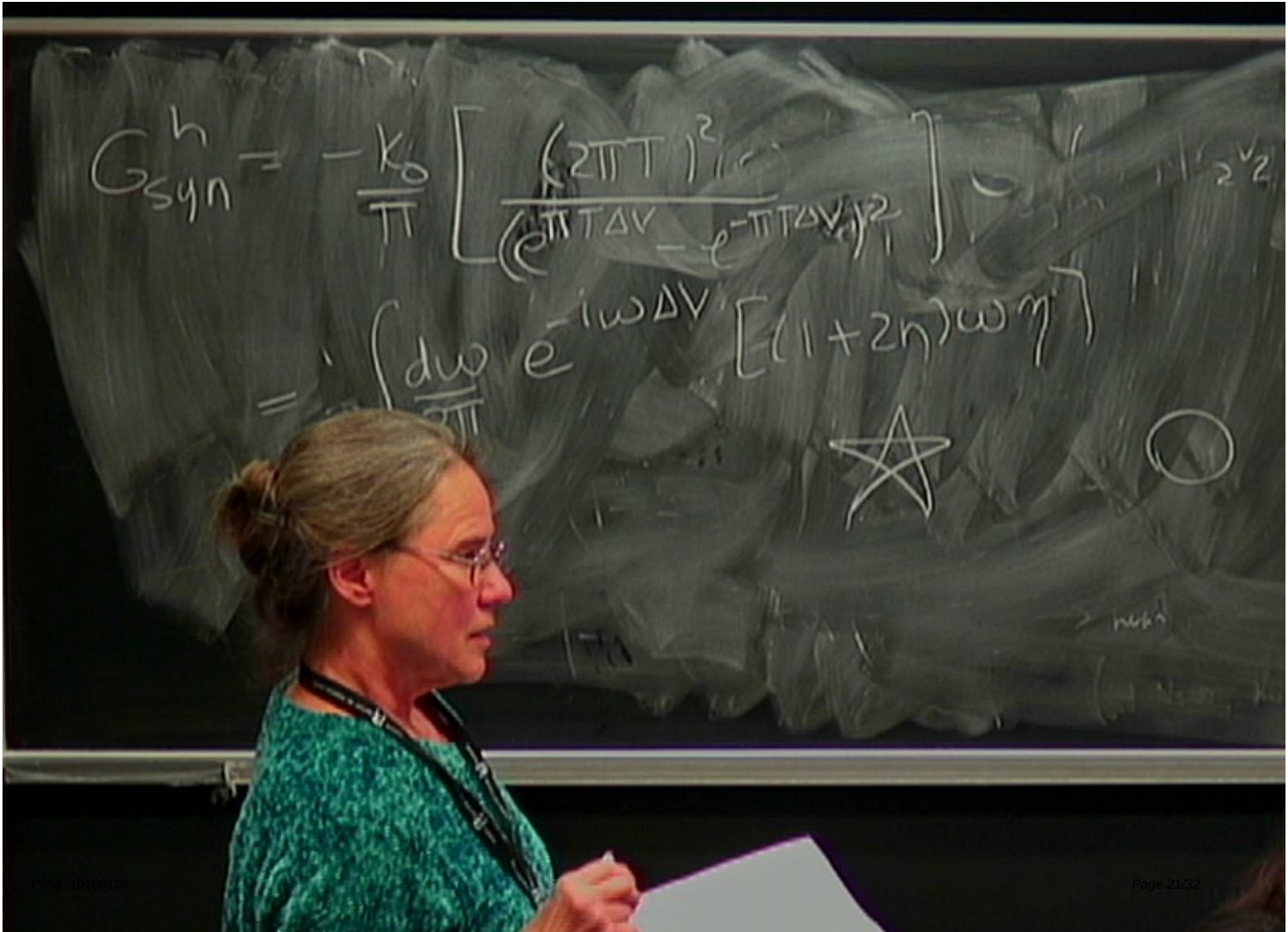



$G^{h}_{syn} = -\frac{k_0}{\pi}\left[\frac{(2\pi T)^2}{(e^{\pi T\Delta v} - e^{-\pi T\Delta v})^2}\right]$
$= \int \frac{d\omega}{\pi} e^{-i\omega\Delta v}\,[(1+2n)\omega\eta]$


$G^h_{syn} = -\frac{k_0}{\pi}\left[\frac{(2\pi T)^2}{(e^{\pi T\Delta v} - e^{-\pi T\Delta v})^2}\right]$
$= \int \frac{d\omega}{2\pi} e^{-i\omega\Delta v}\left[(1+2n)\omega\eta\right]$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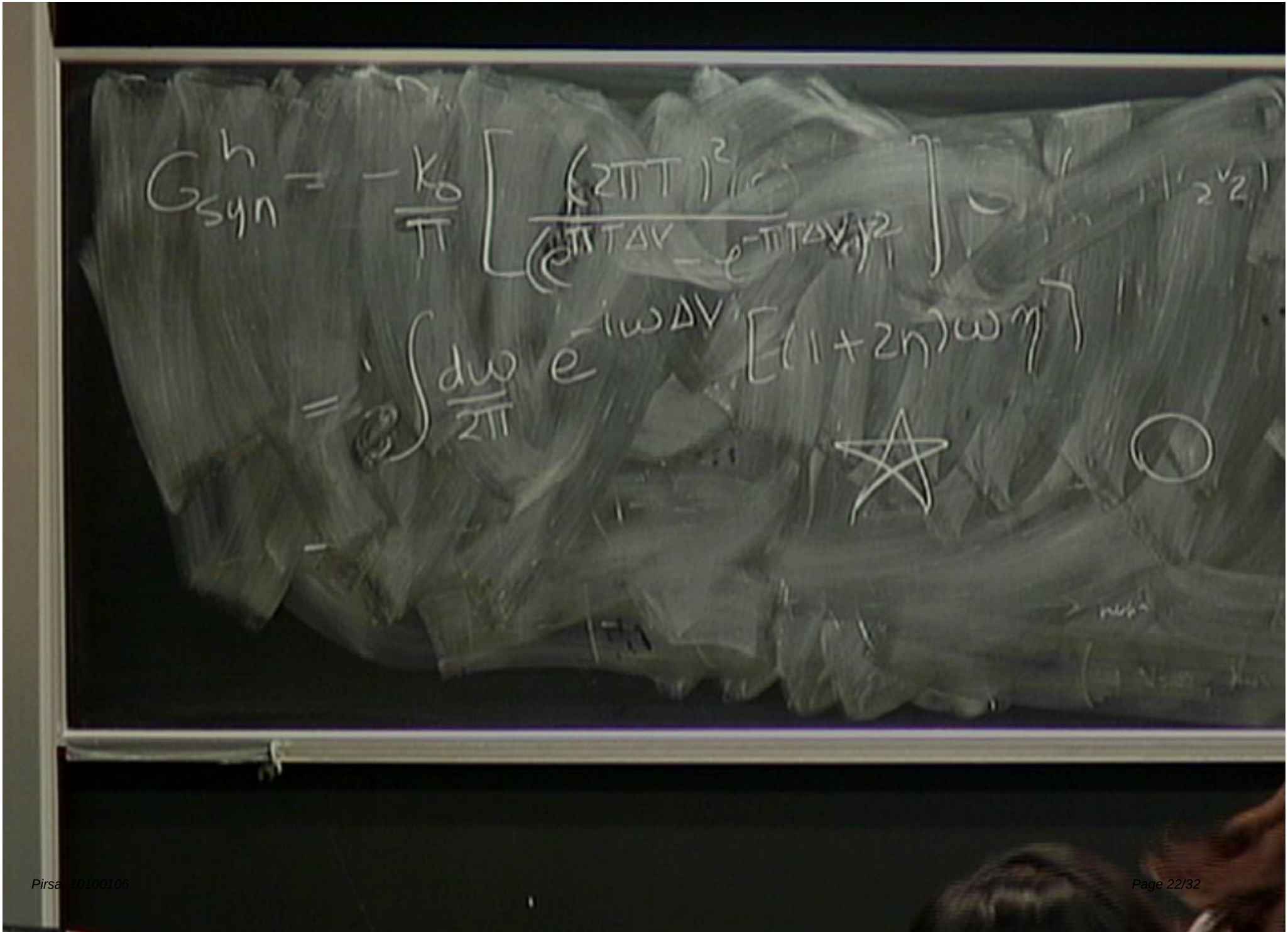
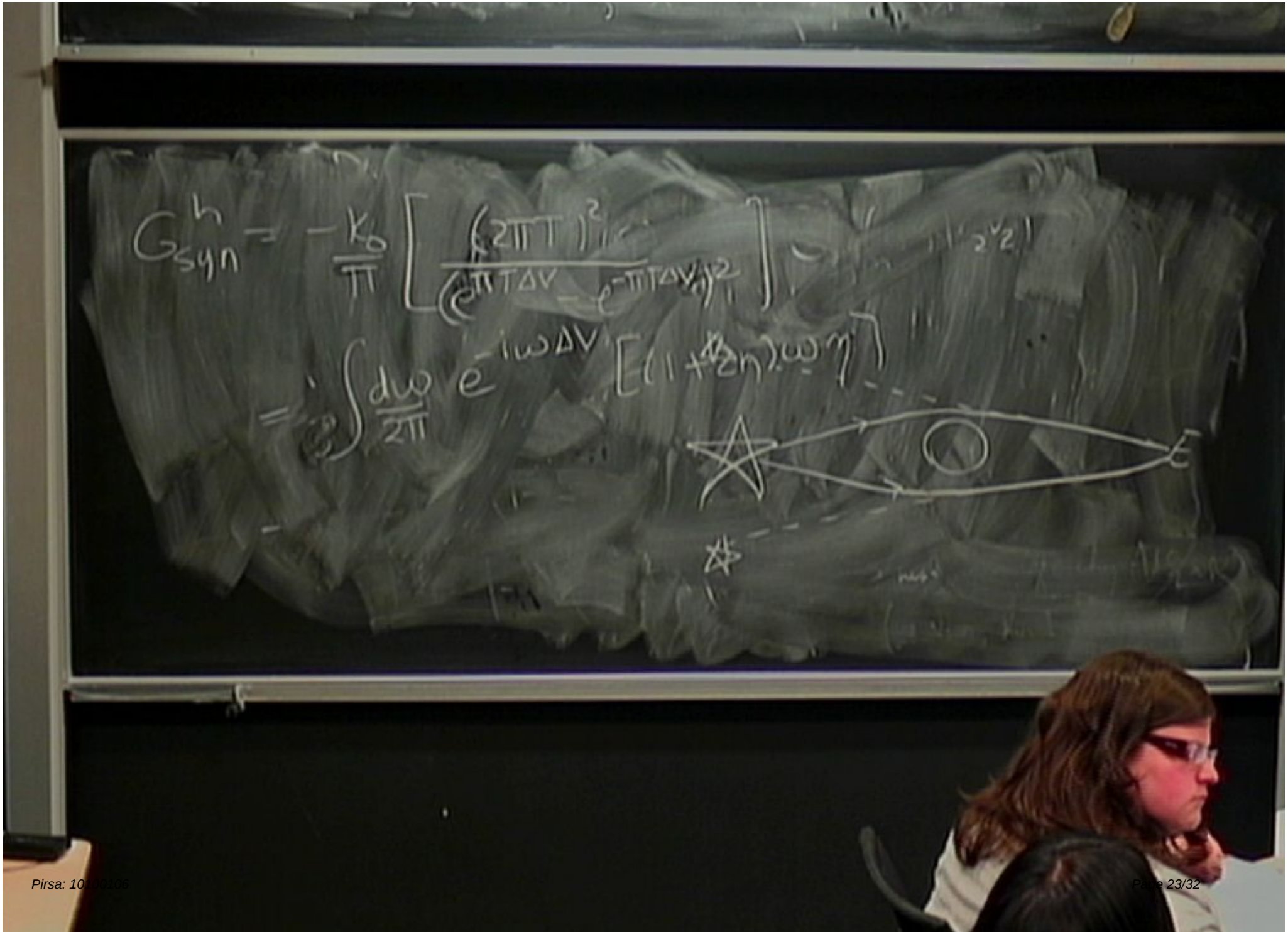
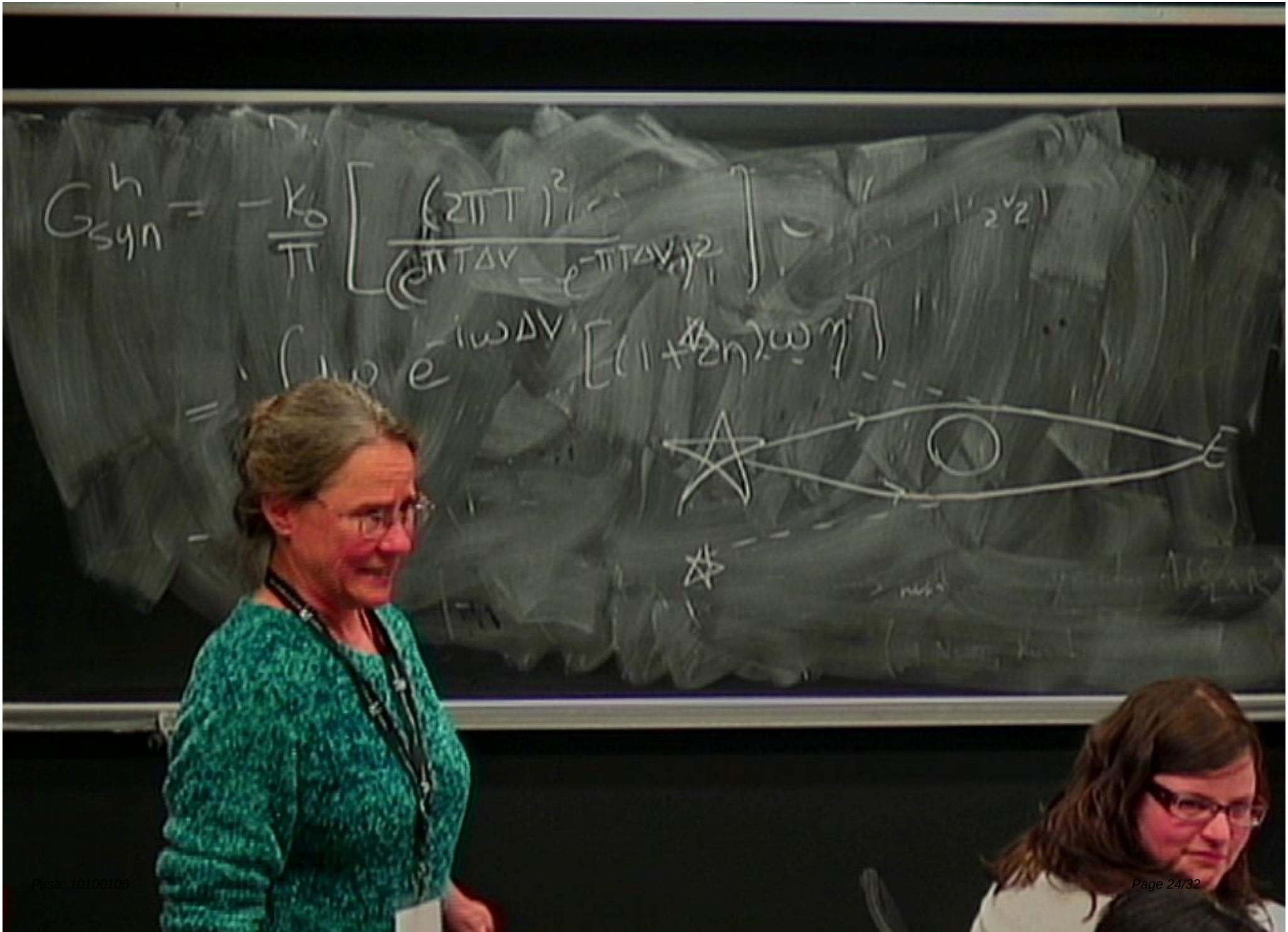
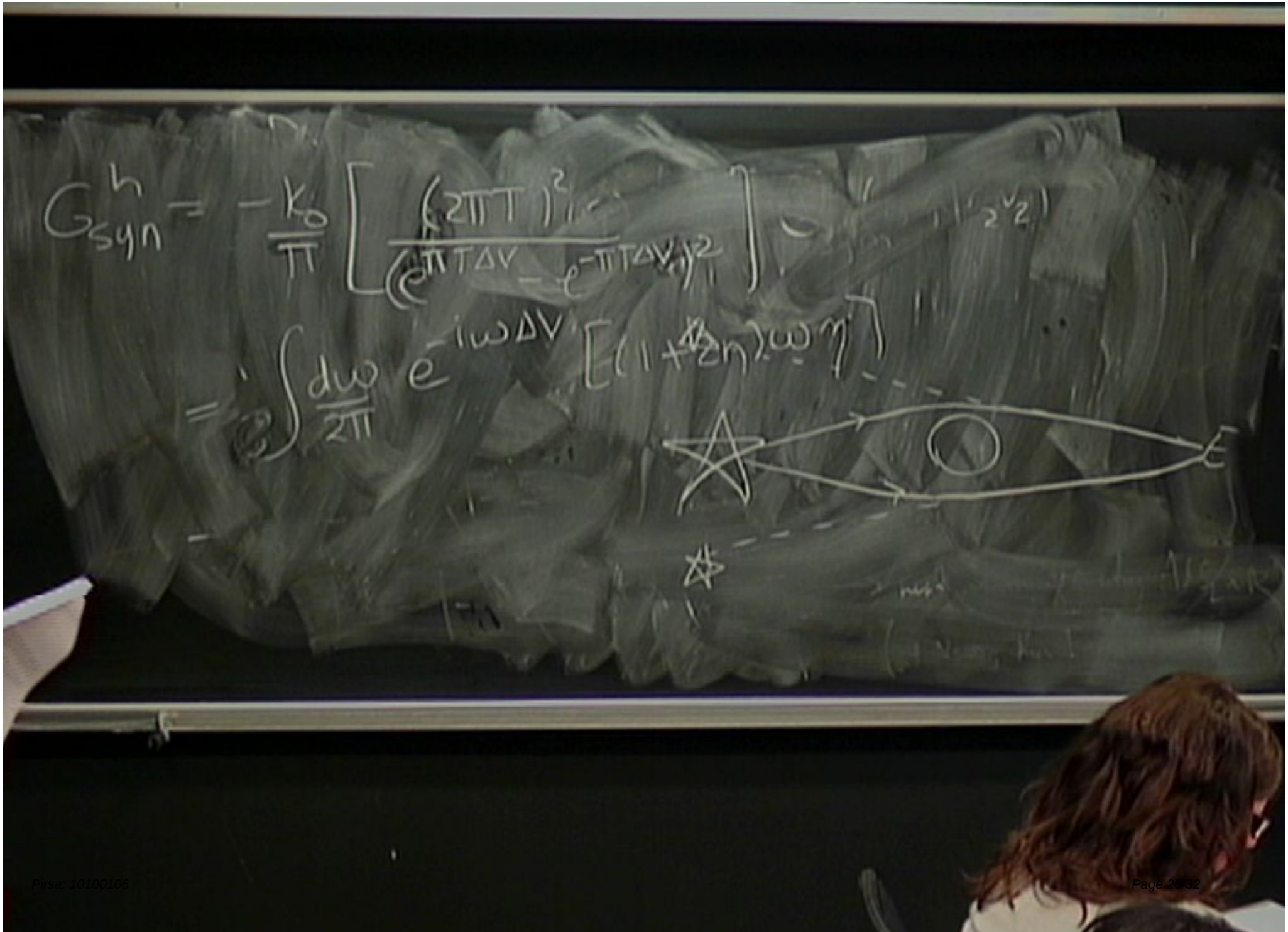

$G^h_{syn} = -\frac{k_0}{\pi}\left[\frac{(2\pi T)^2}{(e^{\pi T\Delta V} - e^{-\pi T\Delta V})^2}\right]$
$= -\int \frac{d\omega}{2\pi} e^{-i\omega\Delta V'}\left[(1+2n)\omega\eta\right]$


$G_{syn}^{h} = -\frac{K_0}{\pi}\left[\frac{(2\pi T)^2}{(e^{\pi T\Delta V} - e^{-\pi T\Delta V_0})^2}\right]$
$= \int \frac{d\omega}{2\pi} e^{-i\omega\Delta V}$


$G^h_{syn} = -\frac{K_0}{\pi}\left[\frac{(2\pi T)^2}{(e^{\pi T\Delta v} - e^{-\pi T\Delta v})^2}\right]$
$e^{-i\omega\Delta v}$
$[(1+2n)\omega\eta]$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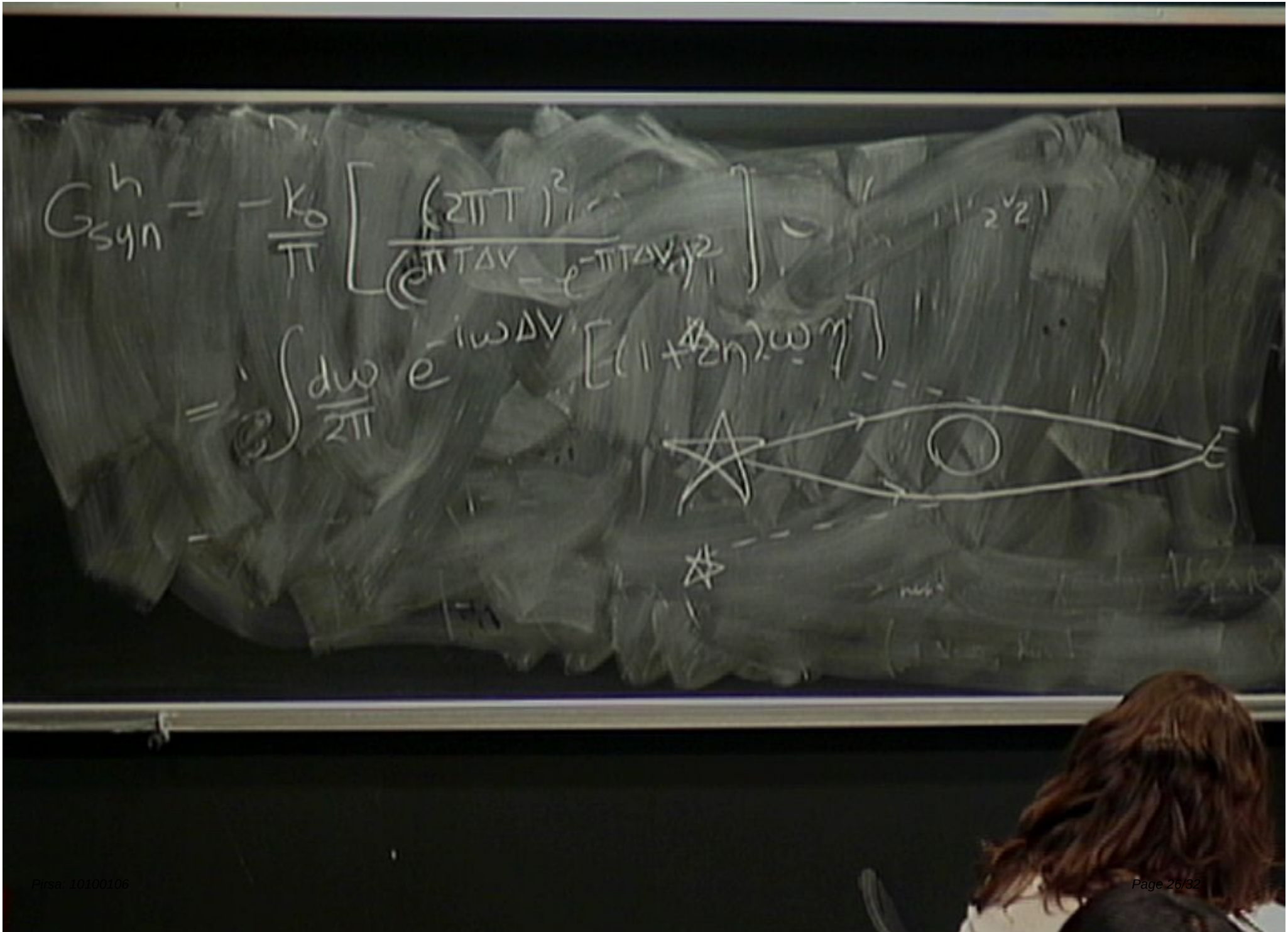
$G^h_{syn} = -\frac{K_0}{\pi}\left[\frac{(2\pi T)^2}{(e^{\pi T\Delta v} - e^{-\pi T\Delta v})^2}\right]$
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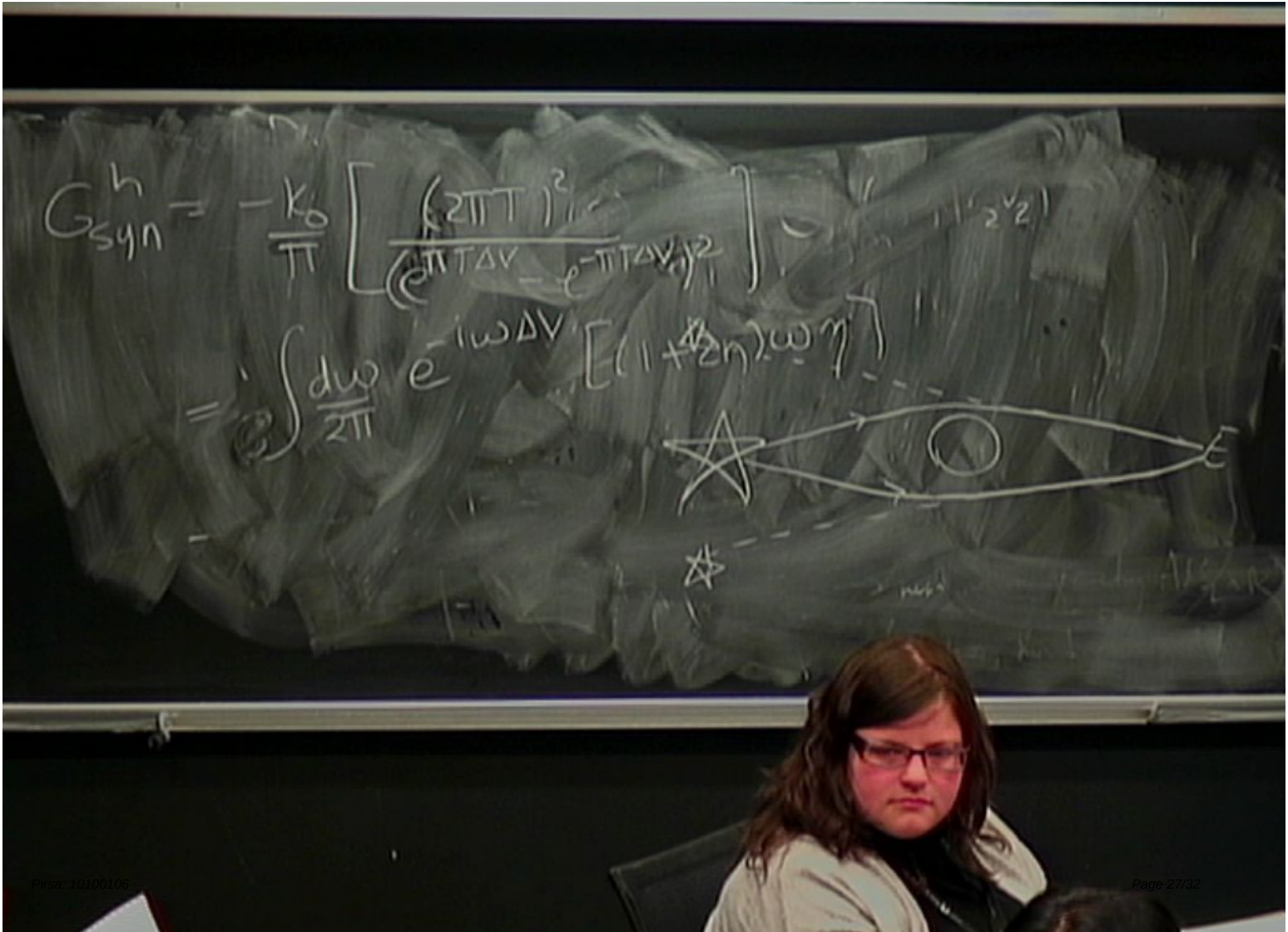
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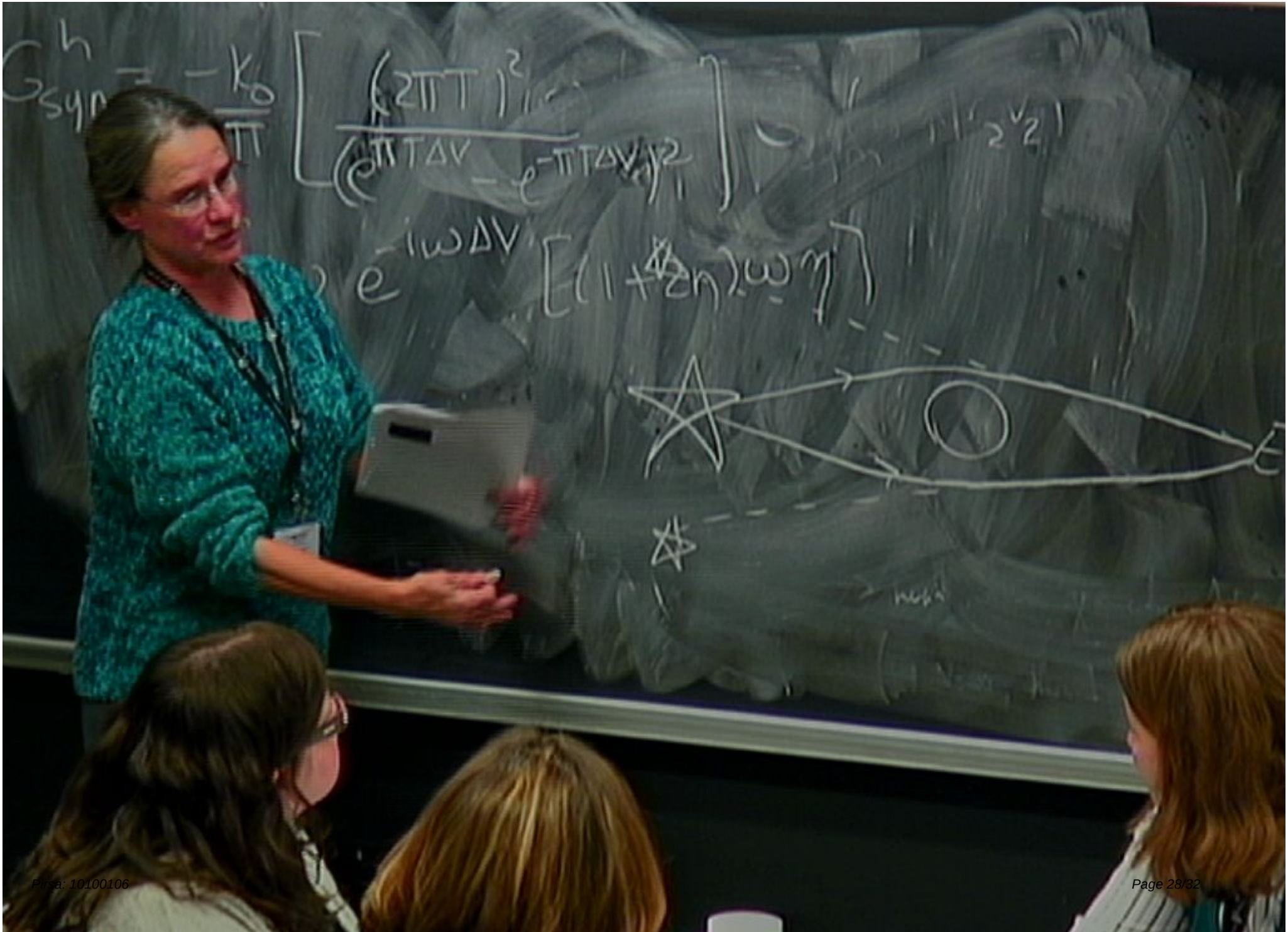

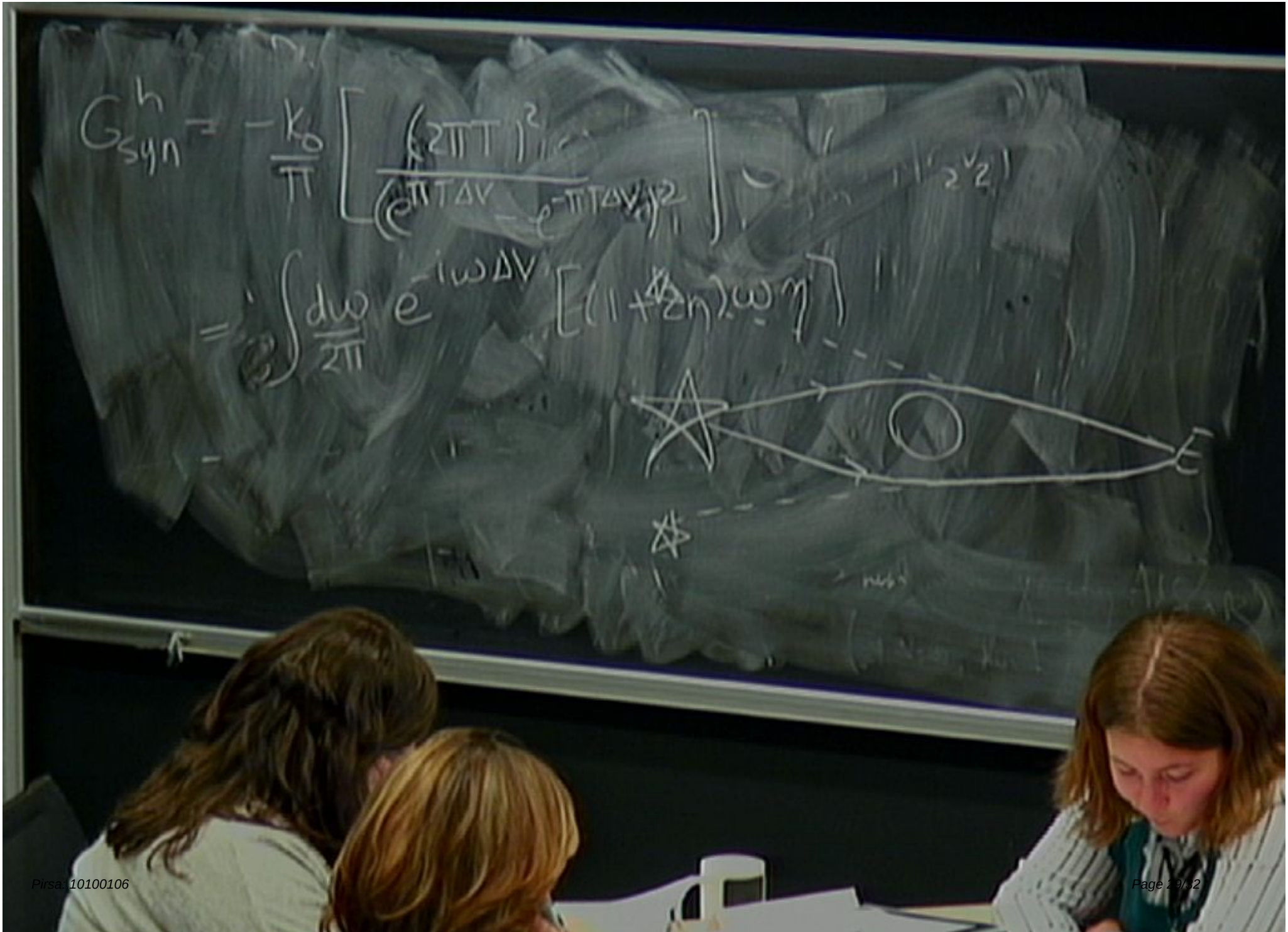
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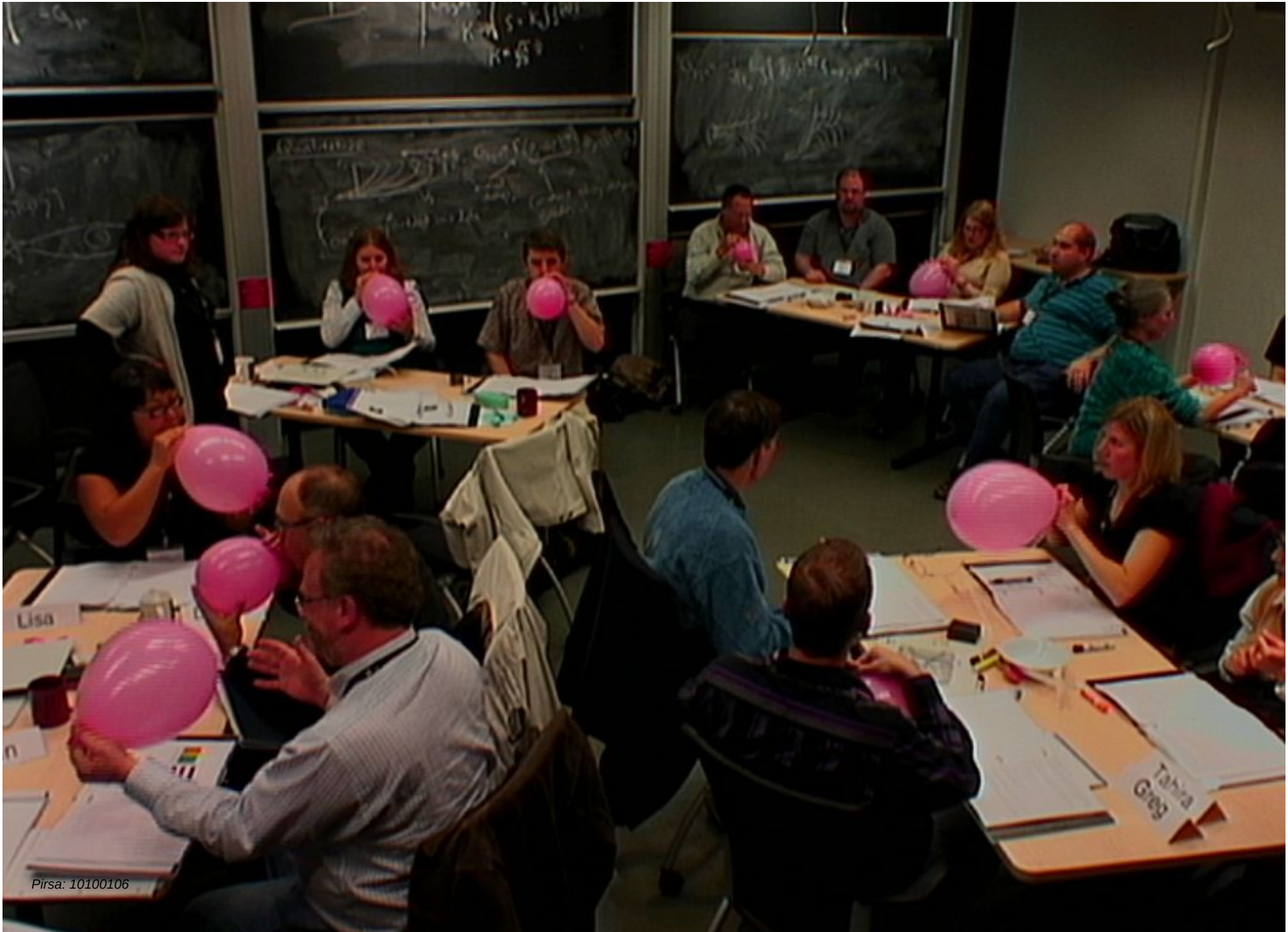

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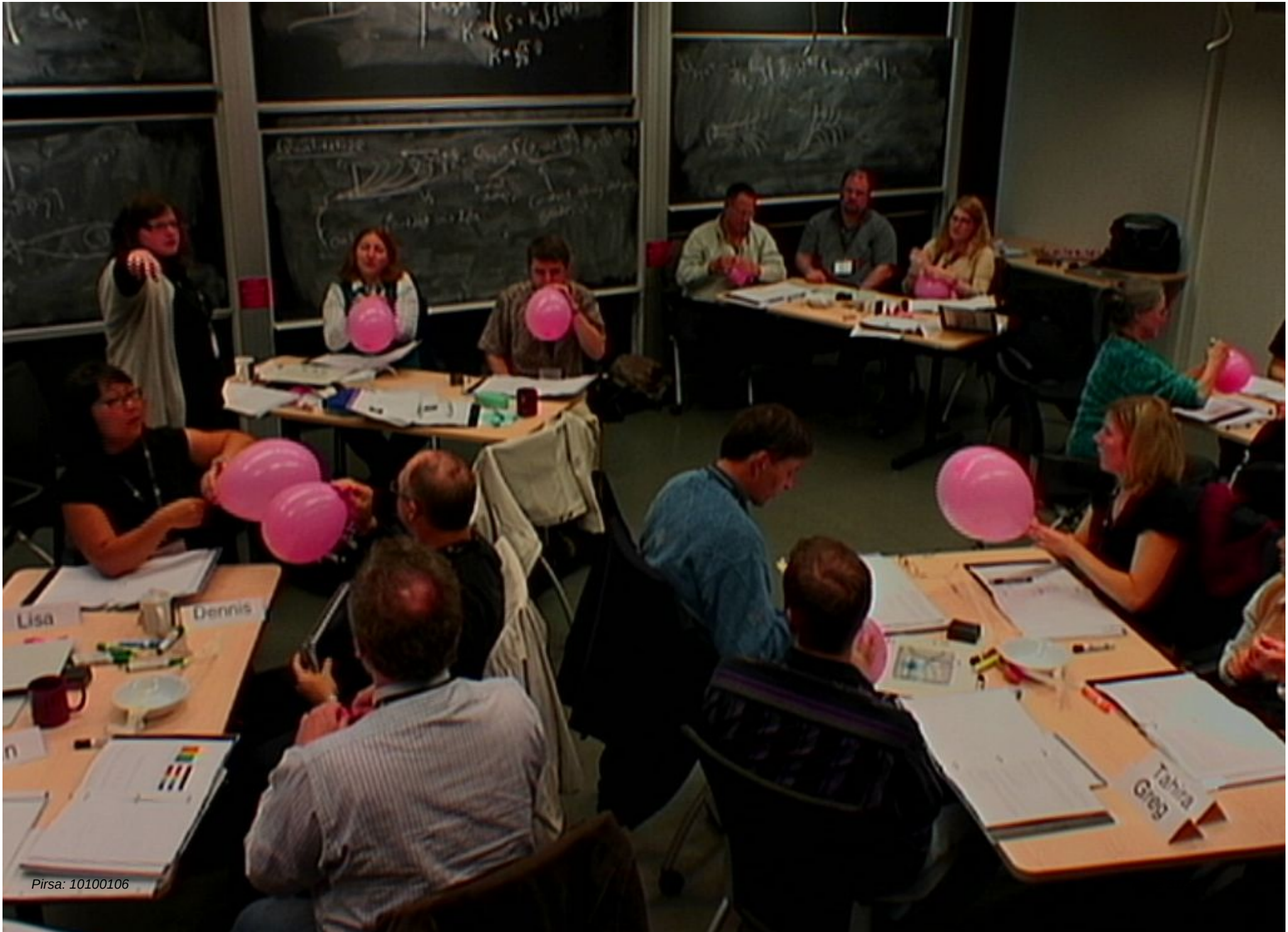

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