

Title: Determining Z' couplings using LHC data and low energy measurements

Date: Oct 30, 2009 09:45 AM

URL: <http://pirsa.org/09100158>

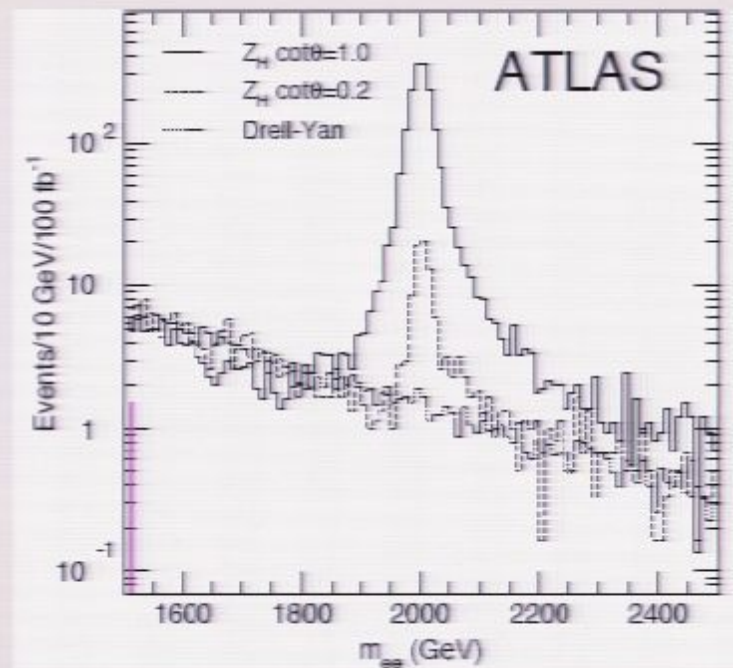
Abstract: TBA

Outline

- What is a Z' and what tools do we have to study one?
- How well can we measure its couplings, and what couplings can be determined with expected data (LHC and other)? What is best way to compare data with theory?
- Analysis strategy for investigating a Z'
(based on FP, S. Quackenbush arXiv:0801.4389; Y. Li, FP, S. Quackenbush arXiv:0906.4132)
 - On-peak LHC data: convenient coupling basis for determining high-scale theory
 - $q\bar{q}e$ measurements with off-peak data and QWEAK
 - Breaking the final coupling degeneracy with Møller scattering

What is a Z'?

- Experimental definition: resonance observed in Drell-Yan: $pp \rightarrow l+l+X$; clean signature, low systematics



What spin does it have?

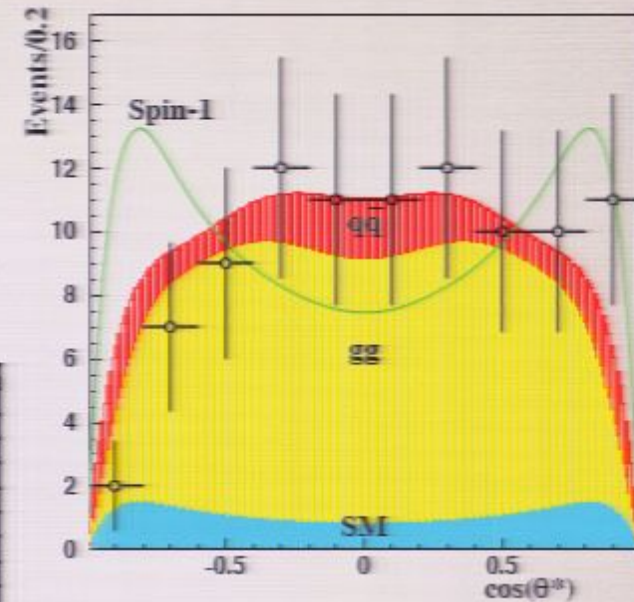
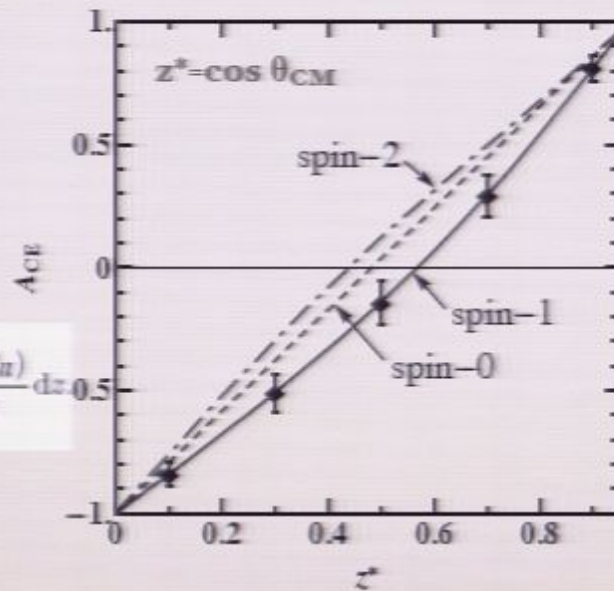
Spin Possibilities:

- : R-parity violating sneutrino
- I: New gauge boson
- 2: Kaluza-Klein graviton

$$A_{CE}(M_R) = \frac{\sigma_{CE}(R_U)}{\sigma(R_U)}$$

$$\sigma_{CE}(R_U) \equiv \left[\int_{-z^*}^{z^*} - \left(\int_{-z_{cut}}^{-z^*} + \int_{z^*}^{z_{cut}} \right) \right] \frac{d\sigma(R_U)}{dz} dz$$

P. Osland et al., 0904.4857

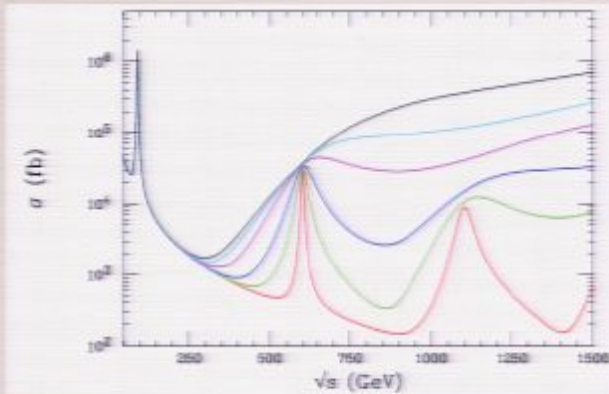


B. Allanach et al., hep-ph/0006114



Can distinguish spin-1 from spins-0,2 with a few hundred events

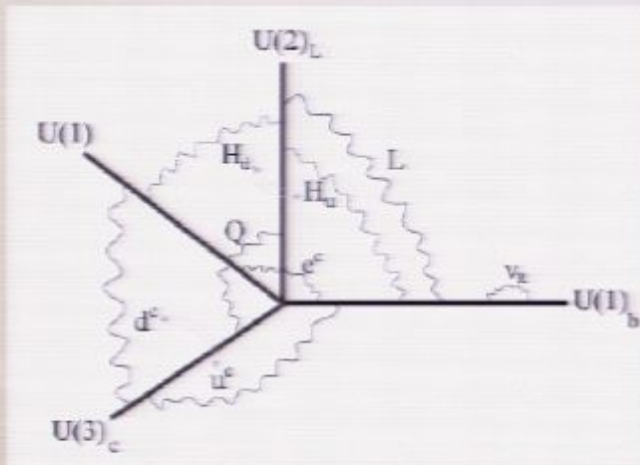
The Z' zoo



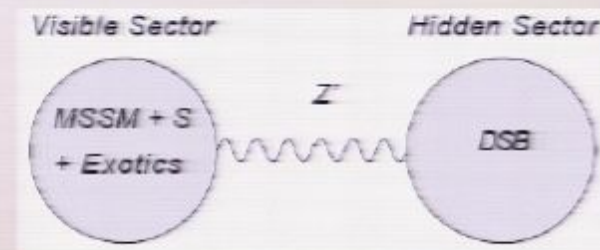
Kaluza-Klein modes

■ Rough numbers to remember (for E6, LR models):

- $\sigma \times BR \sim 50 \text{ fb}$ (1.5 TeV)
- $\sigma \times BR \sim 1 \text{ fb}$ (3 TeV)
- $\Gamma/M \sim 0.5\text{--}5\%$



String models



Messengers

What Z's are ruled out?

Current high energy limits near 1 TeV

CDF II preliminary

$L = 2.3 \text{ fb}^{-1}$

Model	Mass Limits, 95% CL (GeV/c^2)
Z' (SM)	1030
Z' (η)	904
Z' (χ)	892
Z' (ψ)	878
Z' (N)	861
Z' (sec)	821
Z' (i)	789

LEP limits:

Z' model	χ	ψ	η	L-R	SSM
$M_{Z'}^{limit}$ (GeV/c^2)	673	481	434	804	1787

2003 summer conferences

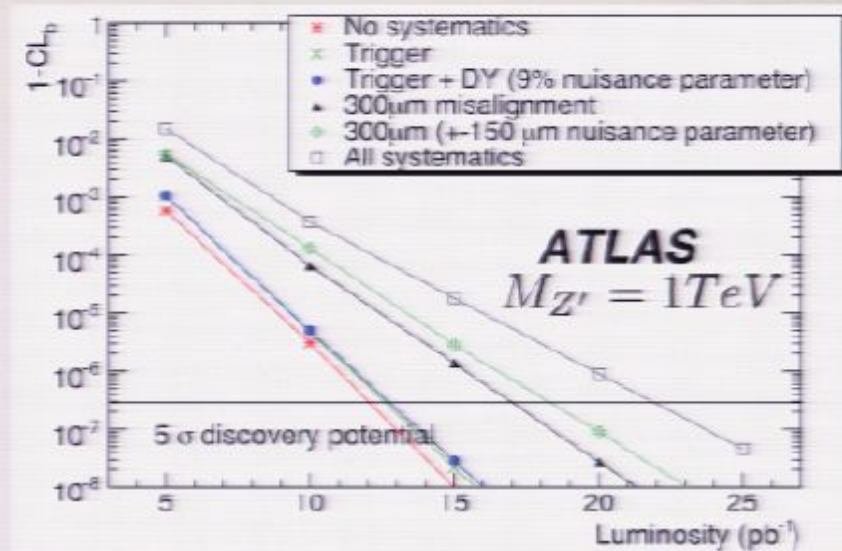
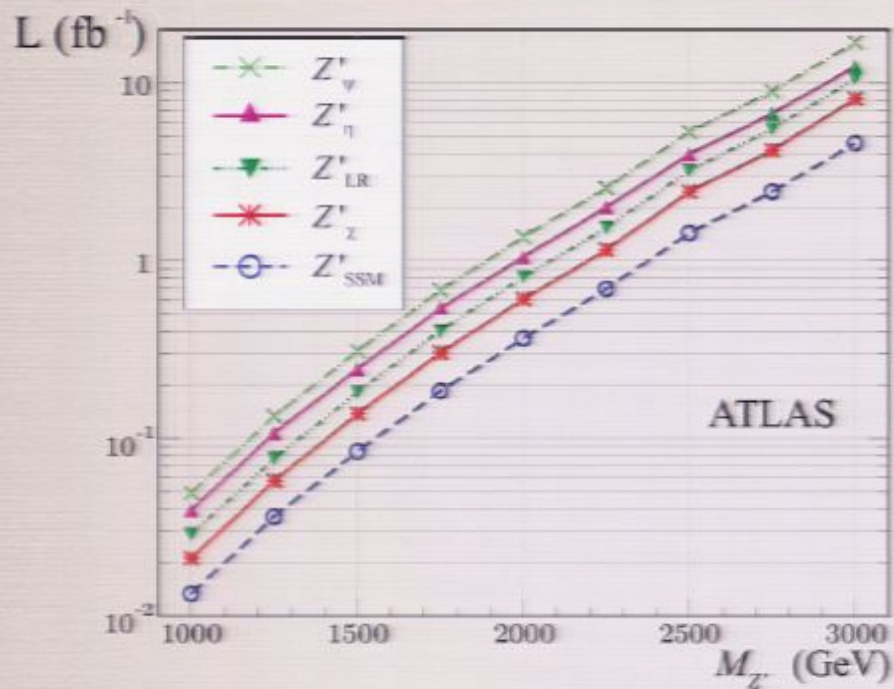
Competitive low energy limits

Cesium APV: $M_\chi \geq 0.89 \text{ TeV}$ (95% CL) ($Z_\psi: q_L + q_R = 0$)

E-158 Møller: $M_\chi \geq 0.67 \text{ TeV}$ (95% CL) ($Z_\psi: e_L + e_R = 0$)

J. Erler, LoopFest 2009 conference

What Z's can we discover?



B. Mellado, ANL Analysis Jamboree
20 May 2009

- Eventual reach ~ 5 TeV for most models
- Can extend Tevatron reach with 10s of pb^{-1}

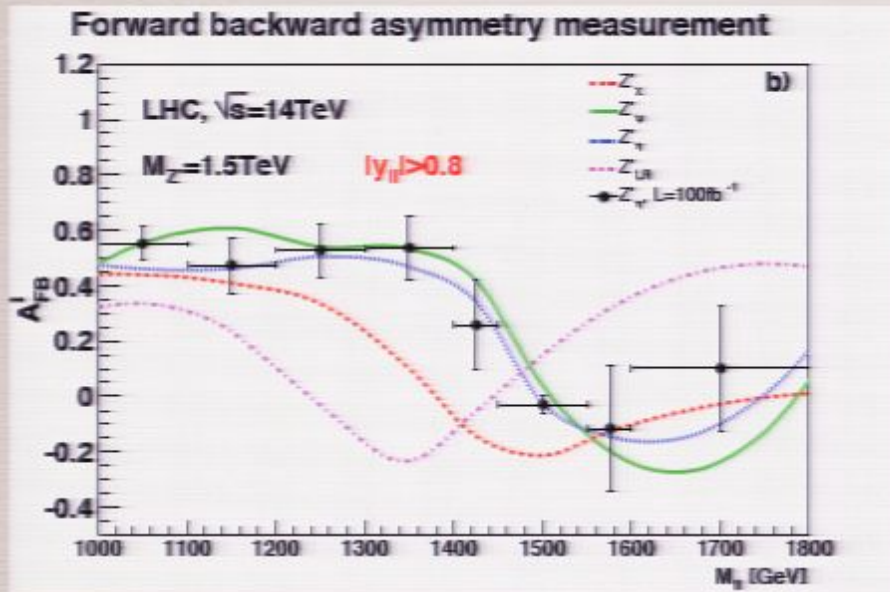
What can we measure?

- $M_{Z'}$, $\Gamma_{Z'}$ from scan of resonance peak
 - $\Delta M/M \sim 0.03-0.05\%$ for $M_{Z'}=1.5$ TeV, $0.3-0.5\%$ for $M_{Z'}=4$ TeV
 - $\Delta\Gamma/\Gamma \sim 5-10\%$ for $M_{Z'}=1.5$ TeV, $10-35\%$ for $M_{Z'}=4$ TeV

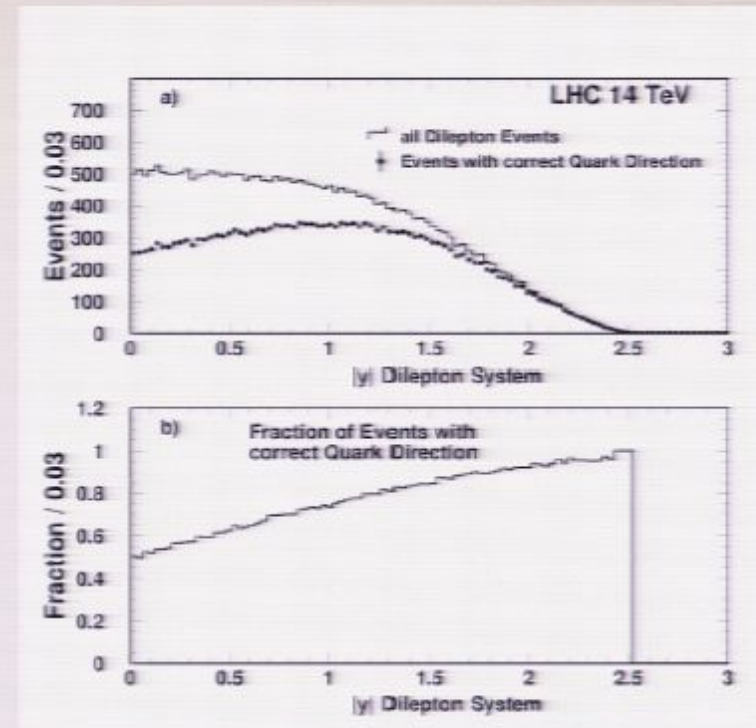
Schäfer, Ledroit, Trocmé, ATLAS-PHYS-PUB-2005-010

- g_v , g_a from $Z' \rightarrow f\bar{f}$ decays: window to underlying models
- Invisible decays, if Z' is messenger to hidden sector
- Mixing-induced $Z' \rightarrow WW$, ZH decays, $Z'\gamma$, Z associated production

What tools do we have?



M. Dittmar et al., hep-ph/0307020



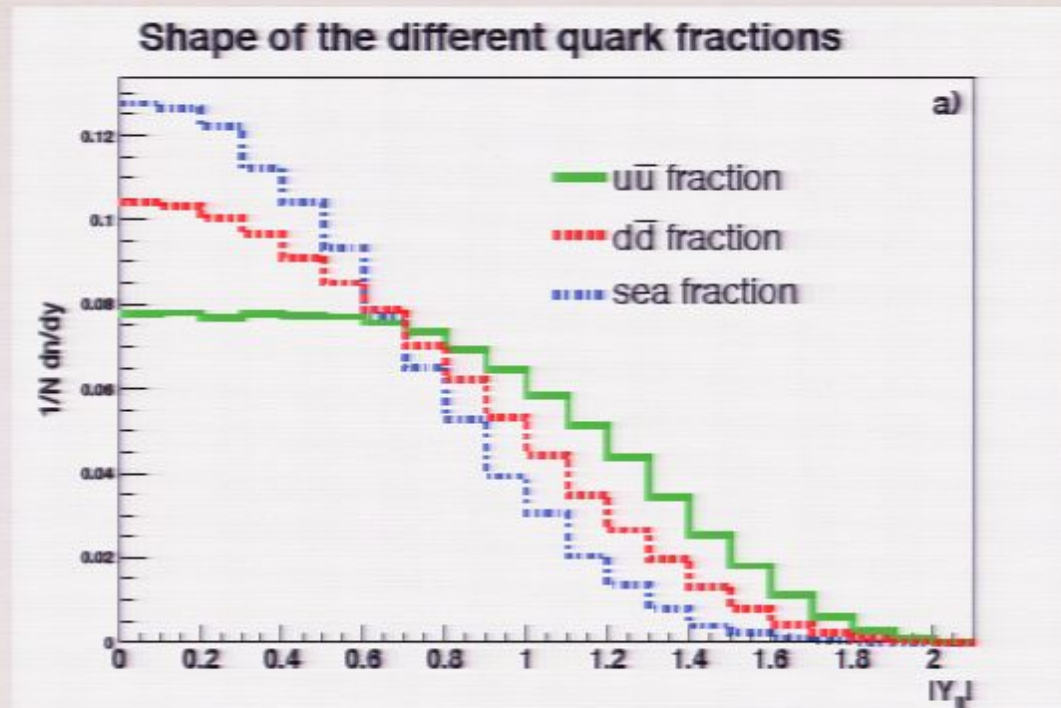
M. Dittmar, hep-ex/9606002

$$\frac{d\sigma}{d\cos\theta} \sim \frac{3}{8}(1 + \cos^2\theta) + A_{FB}\cos\theta$$

$$A_{FB} = \frac{F - B}{F + B}$$

LHC is pp collider; define 'forward' by Z' rapidity (high Y typically from valence quark)

What tools do we have?



M. Dittmar et al., hep-ph/0307020

- Rapidity spectrum probes up/down couplings
- More up-type quarks at high Y

Combined analysis

- Z' rapidity determines relative couplings to u and d quarks
- Asymmetry determines vector versus axial couplings; at LHC, depends on Z' rapidity
- Want a simple analysis technique to combine all kinematic information and extract couplings

Theoretical framework

- Assume Z' couplings generation independent \Rightarrow for 1st, 2nd generation, strongly constrained by FCNC; check for 3rd by measurement in τ , b , t
- Members of doublets have same couplings \Rightarrow strongly constrained by LEP measurements
- Five couplings to: q_L , u_R , d_R , e_L , e_R
- Z' described by seven parameters: q_L , u_R , d_R , e_L , e_R , $M_{Z'}$, Γ
- Example models *only* to illustrate certain points:
 $U(1)_\eta$, $U(1)_\chi$, $U(1)_\psi$, left-right

Structure of Z' cross section

Z' amplitude squared

$$\frac{d^2\sigma}{dY d\cos\theta^* dM^2} = \sum_{q=u,d} [a_1^q(M_{Z'}, \Gamma_{Z'}) (q_R^2 + q_L^2) (e_R^2 + e_L^2) + a_2^q(M_{Z'}, \Gamma_{Z'}) (q_R^2 - q_L^2) (e_R^2 - e_L^2) + b_1^q(M_{Z'}) q_R e_L + b_2^q(M_{Z'}) q_R e_R + b_3(M_{Z'}) q_L e_L + b_4(M_{Z'}) q_L e_R + c.] \quad ($$

Interference with γ , Z

Background

- $a_{1,2}$ contain PDFs, matrix elements, cuts
- On-peak in the narrow-width limit: $a_{1,2} \sim 1/\Gamma$
- Six coupling combinations appear: $q_L e_R$, $q_L e_L$, $u_R e_R$, $u_R e_L$, $d_R e_R$, $d_R e_L$; only four independent
- Only $a_{1,2}$ important on-peak

On-peak measurements

- Define the following combinations of couplings

$$c_q = \frac{M_{Z'}}{24\pi\Gamma} (q_R^2 + q_L^2)(e_R^2 + e_L^2) = (q_R^2 + q_L^2) Br(Z' \rightarrow e^+ e^-) \quad \text{Carena et al., hep-ph/0408098}$$

$$e_q = \frac{M_{Z'}}{24\pi\Gamma} (q_R^2 - q_L^2)(e_R^2 - e_L^2)$$

$$\Rightarrow \frac{d\sigma}{dY d\cos\theta^* dM^2} = \sum_{q=u,d} \left[a_1^{q'}(M_{Z'}) c_q + a_2^{q'}(M_{Z'}) e_q \right]$$

- All details of model in c_u, c_d, e_u, e_d ;
- c_q probes parity-conserving couplings, e_q parity violating

Analysis strategy

- Four quantities to measure: $c_{u,d}$, $e_{u,d}$
- Use all differential information to extract
- Define usual forward, backward regions:

$$F(Y) = \int_0^1 d\cos\theta \frac{d^2\sigma}{dY d\cos\theta} \quad B(Y) = \int_{-1}^0 d\cos\theta \frac{d^2\sigma}{dY d\cos\theta}$$

- Take the following four combinations (y_1 an arbitrary parameter separating forward and central rapidity):

$$F_{<} = \int_{-Y_1}^{Y_1} dY F(Y) \quad F_{>} = \left\{ \int_{y_1}^{y_{max}} + \int_{-y_{max}}^{y_1} \right\} dY F(Y)$$
$$B_{<} = \int_{-Y_1}^{Y_1} dY B(Y) \quad B_{>} = \left\{ \int_{y_1}^{y_{max}} + \int_{-y_{max}}^{y_1} \right\} dY B(Y)$$

Analysis strategy

- Matrix equation relating four couplings to measurements:
 $m = M \times c$, $m = (F_{<}, B_{<}, F_{>}, B_{>})$, $c = (c_u, c_d, e_u, e_d)$

$$M = \begin{pmatrix} \int_{F_{<}} a_1^u & \int_{F_{<}} a_1^d & \int_{F_{<}} a_2^u & \int_{F_{<}} a_2^d \\ \int_{B_{<}} a_1^u & \int_{B_{<}} a_1^d & \int_{B_{<}} a_2^u & \int_{B_{<}} a_2^d \\ \int_{F_{>}} a_1^u & \int_{F_{>}} a_1^d & \int_{F_{>}} a_2^u & \int_{F_{>}} a_2^d \\ \int_{B_{>}} a_1^u & \int_{B_{>}} a_1^d & \int_{B_{>}} a_2^u & \int_{B_{>}} a_2^d \end{pmatrix}$$

- M depends only on Z' mass: measure m , calculate M without model assumption, extract c
- All details of QCD, cuts, in $a_{1,2}$
- Don't need χ^2 comparison between model assumptions
- Lose very little discriminatory power from coarse binning

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Analysis strategy

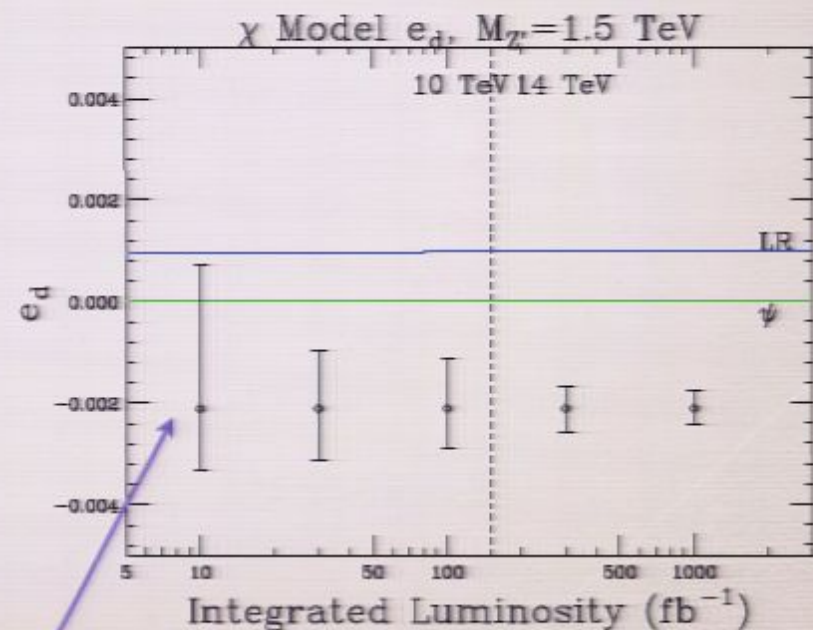
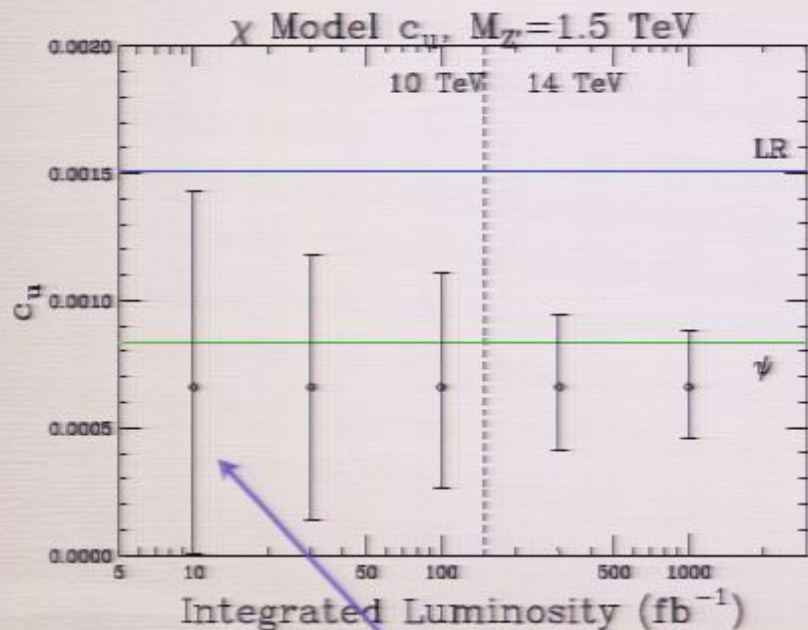
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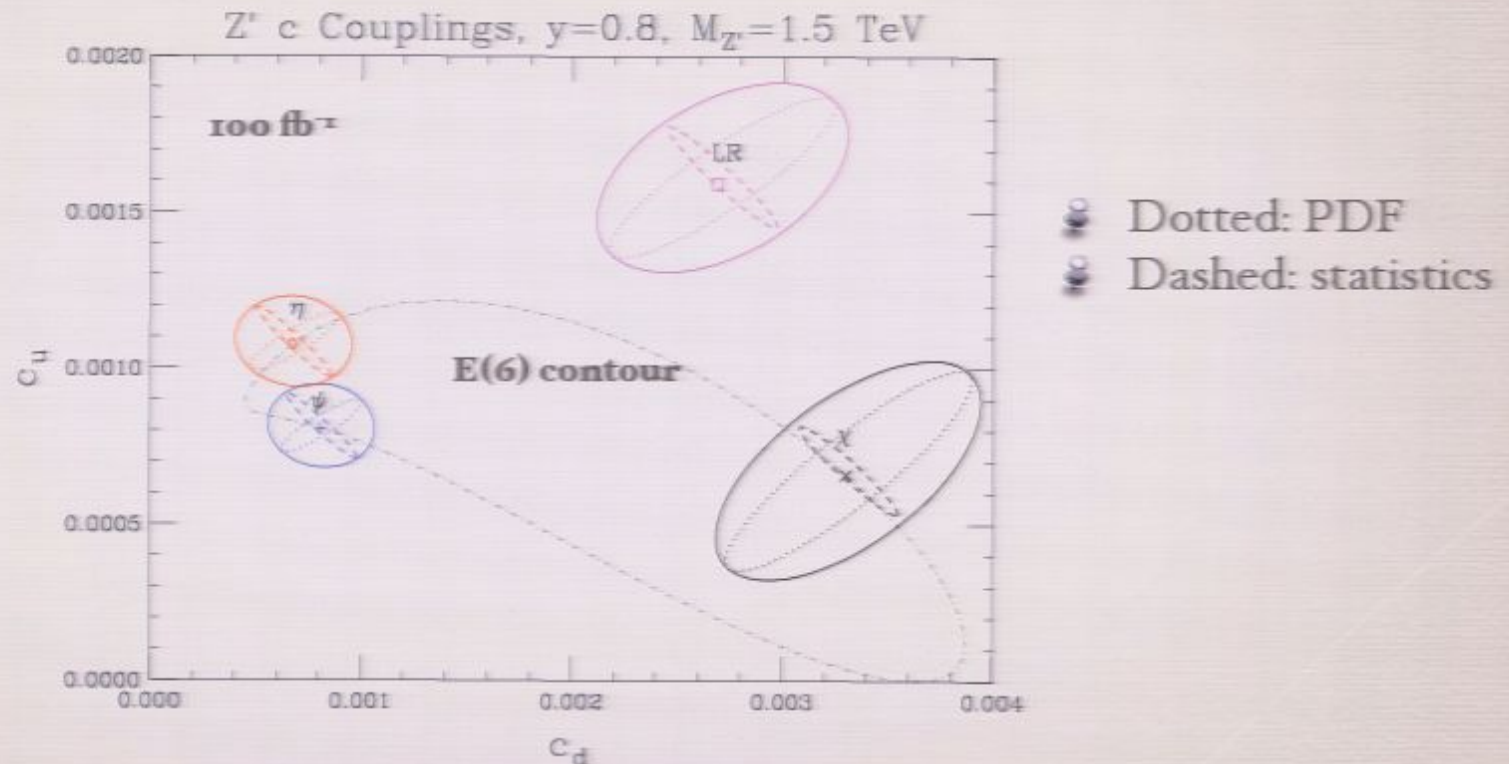
LHC: low luminosity

- Off-peak bins very small at low luminosity; follow this strategy
- Assume Z' observation, propagate through theory, statistical and PDF errors to see how well c, e measured (statistical+PDF dominant; expected systematics small CMS note 2006-083)

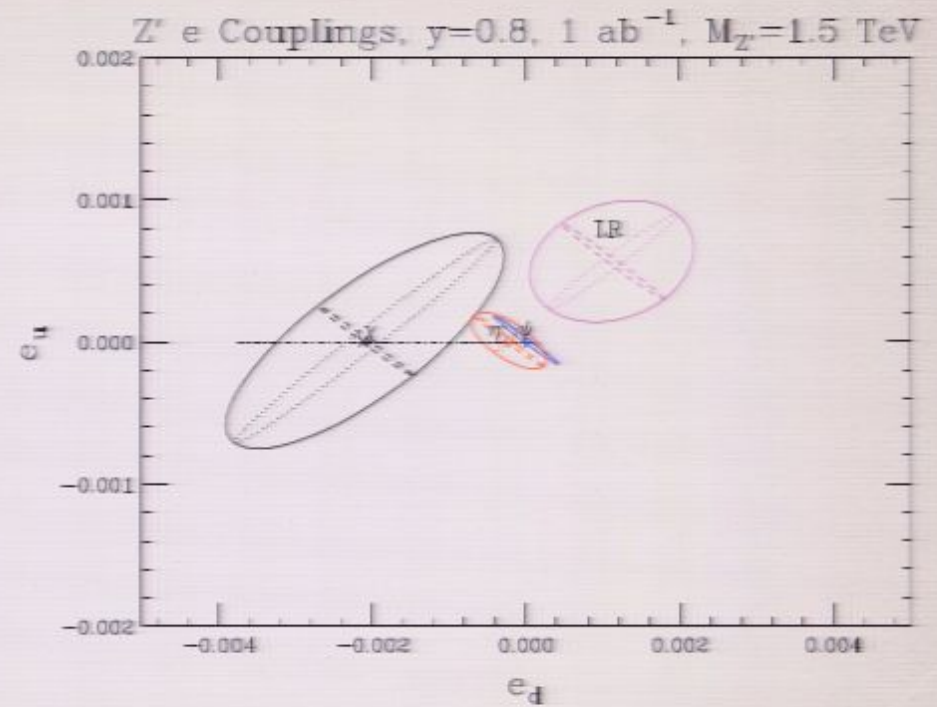
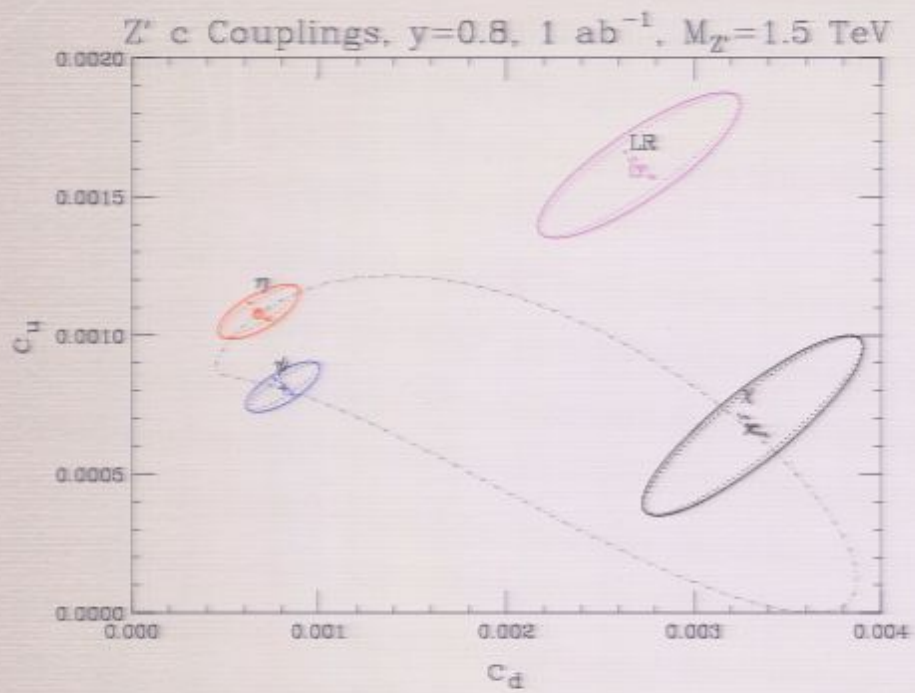


Higher luminosities and errors

- Dominant errors become PDF; possibilities of improvement with LHC data \Rightarrow precision measurements then possible



SLHC results



Off-peak extension

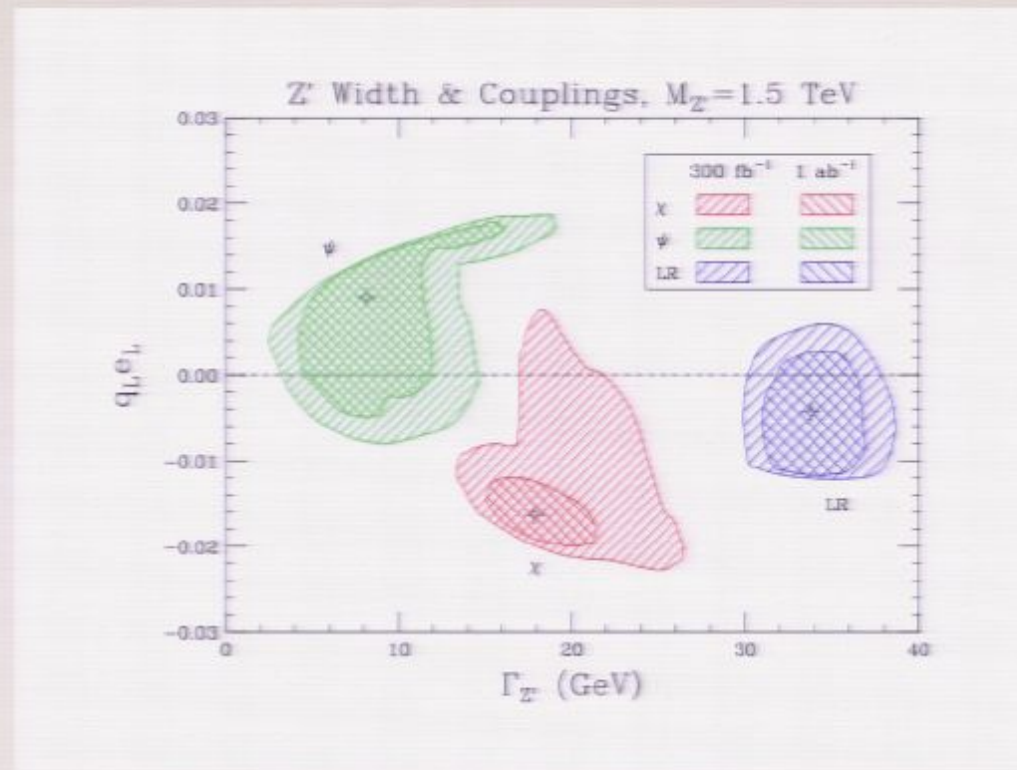
- Only measure $(q \times e)^2$ on-peak; width is lumped into c_q, e_q
- Off-peak bins become useable at higher luminosities

on-peak LHC:	$M_{Z'}, c_u, c_d, e_u, e_d$
on-peak+off-peak LHC:	$M_{Z'}, \Gamma_{Z'}, q_L e_L, q_L e_R, u_R e_L, d_R e_L$

separate width, measure linear $q \times e$

- Assume discovery of Z' , bin cross section in $Y, \cos \theta_{CM}, M^2$ and determine how well couplings can be measured (NB: this is also how we check that that course on-peak binning doesn't reduce discrimination)

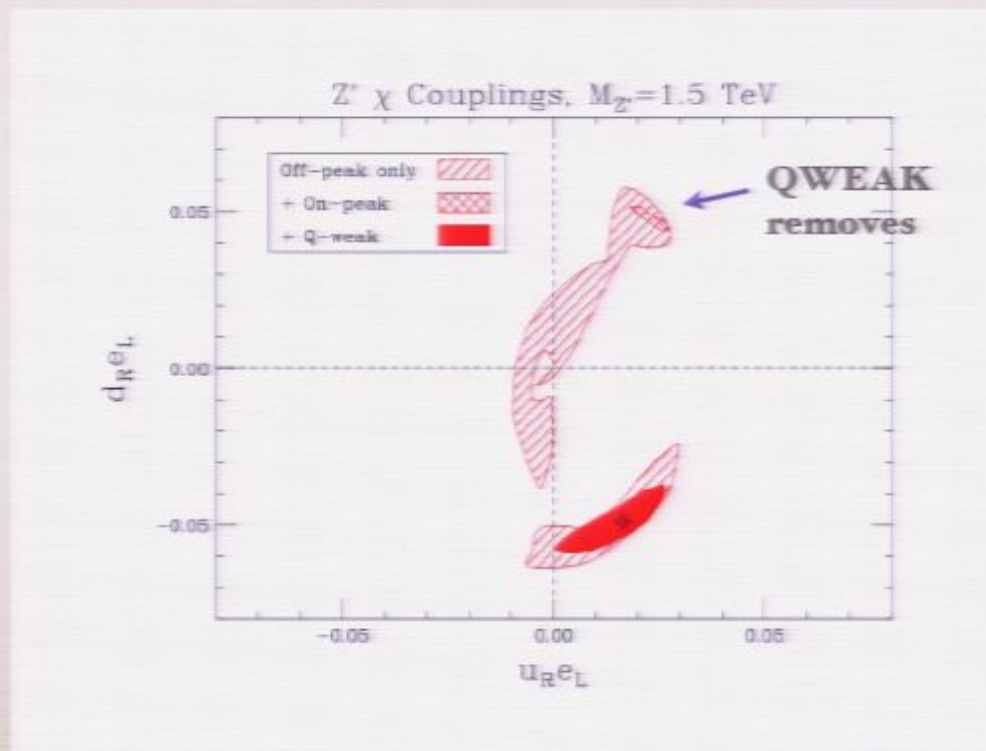
Fitting the width



- Can determine width to few GeV from comparison of on- and off-peak data alone
- Competitive with resonance-peak scan at 100-300 fb⁻¹, different systematics Schäfer, Ledroit, Trocmé, ATLAS-PHYS-PUB-2005-010

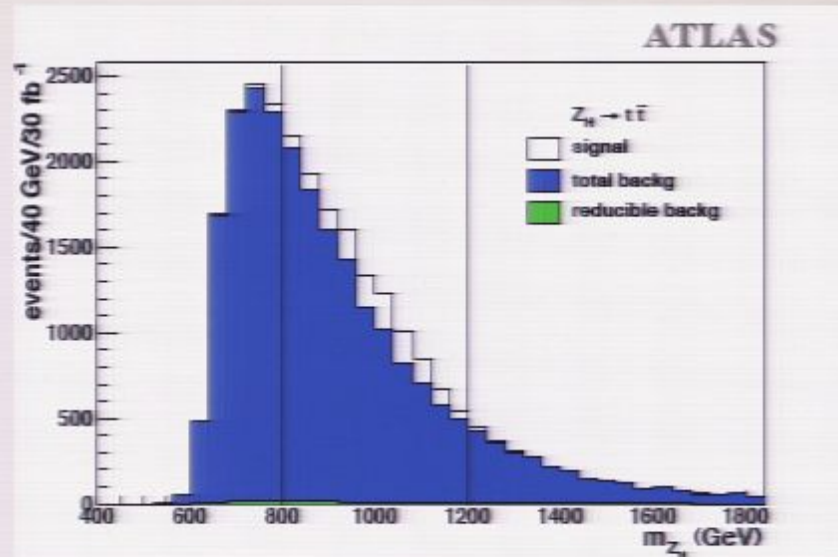
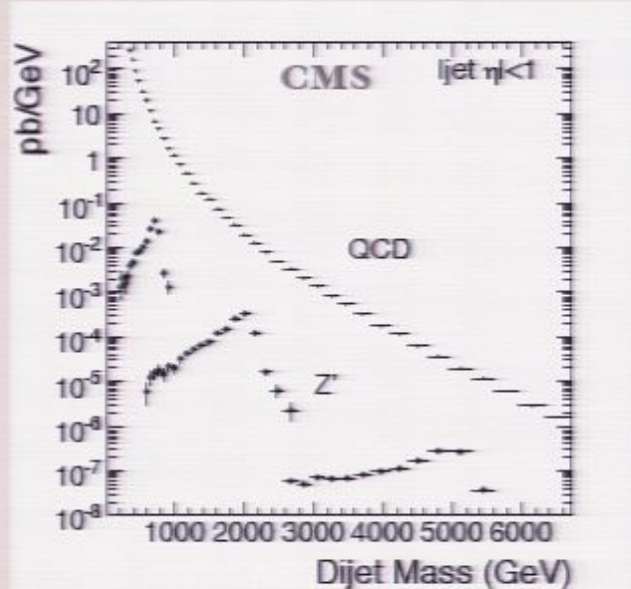
Fitting the couplings and Q_{weak}

- Q_{weak} : 4% measurement of the proton's weak charge, proposed for Jefferson Lab: $\Delta Q^P \sim (3q_L + 2u_R + d_R)(e_R - e_L)$
- Off-peak data, Q_{weak} help remove degeneracies between couplings



$q \times e$ degeneracy

- Still have $q \times e$ coupling degeneracy; can we break with LHC?

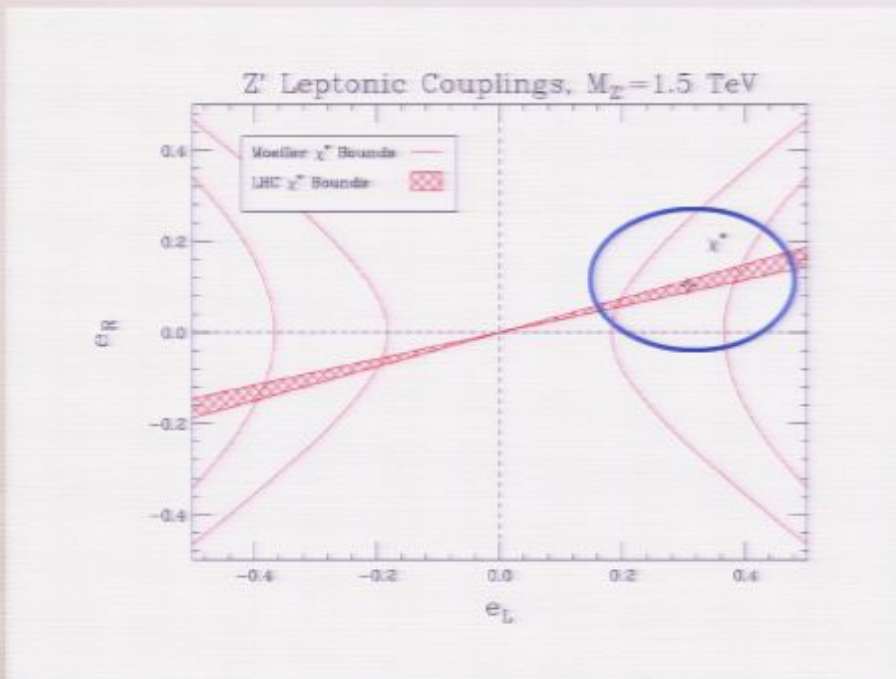


- Observation of di-jet decay likely very tough
- $t\bar{t}$ possible: likely for limited mass range due to backgrounds
(see S. Godfrey, T. Martin 0807.1080)

Møller scattering

- Planned J-lab upgrade: proposed improved measurement of parity violation in e^-e^- scattering (recall that E158 already constrains Z')
- $\Delta A_{\text{exp}} = 0.6 \text{ ppb}$; measures $e_V e_A = e_R^2 - e_L^2$ (hyperbola)

Note:
$$\frac{e_L}{\sqrt{e_L^2 + e_R^2}} = \frac{|q|e_L}{\sqrt{q^2 e_L^2 + q^2 e_R^2}} \Rightarrow \text{LHC measures wedge in } e_R\text{-}e_L \text{ plane}$$



- Combined analysis removes last degeneracy; allows separate q, e coupling extraction

Summary: Z' analysis strategy

- TeV-scale Z' bosons ubiquitous in TeV-scale Standard Model extensions; ~ 5 TeV reach at LHC, possibility of early discovery
- Convenient basis to describe on-peak data: $c_q, e_q \Rightarrow$ complete model-independent extraction of couplings
- Can begin discriminating models with $\leq 10 \text{ fb}^{-1}$
- Off-peak data + Q_{weak} breaks degeneracies and provides width measurement
- Møller scattering can break remaining $q \times e$ degeneracy \Rightarrow then extract individual charges