

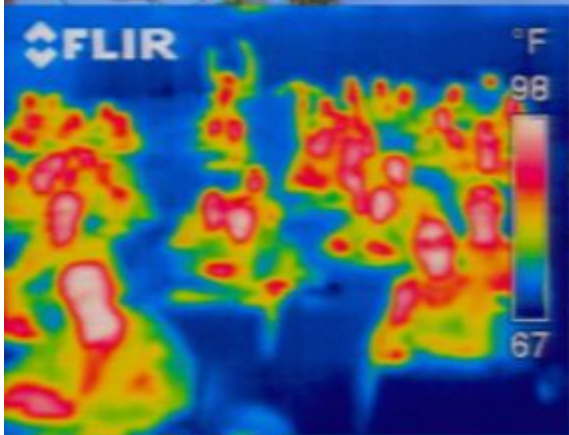
Title: Recent Progress on Clusters at Michigan

Date: Apr 29, 2009 11:00 AM

URL: <http://pirsa.org/09040050>

Abstract: The coming era of large, multi-wavelength surveys motivates and, ultimately, will inform a multivariate statistical framework describing cluster properties in relation to underlying halo mass and redshift. In this talk, I will present work at Michigan that focuses on a multivariate Gaussian likelihood approach to this problem, and includes empirical studies using optical and X-ray observations of the SDSS maxbcg sample as well as a computational program using Gadget resimulations of the Millennium Simulation with preheated gas dynamics. I will show evidence from the models that a combination of fgas measurements from X-rays along with Y_{tot} from thermal SZ can constrain mass at the rms level of 4%.

Progress on Clusters at Michigan



August (Gus) Evrard
Arthur F. Thurnau Professor
Departments of Physics and Astronomy
Michigan Center for Theoretical Physics
University of Michigan

Fisher forecasts

Huterer

Cunha

Smith

simulations

Rasia

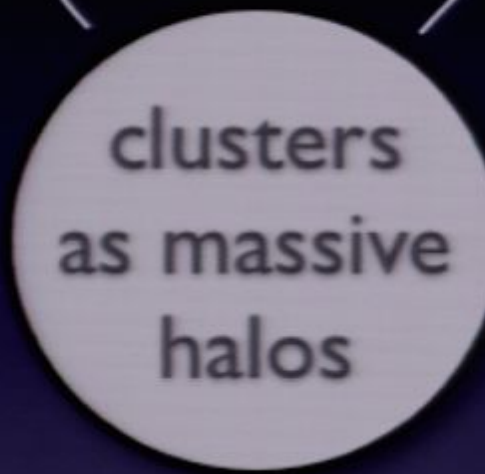
Stanek

Nord

Chen

Rudd (IAS)

Pearce (Nottingham)



optical surveys

SDSS maxbcg

=> DES

McKay

Wechsler (Stanford)

Hao

Koester (Chicago)

Rozo (OSU)

Rykoff (UCSB)

Sheldon (BNL)

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clusters
as massive
halos

simulations

Rasia

Stanek

Nord

Chen

Rudd (IAS)

Pearce (Nottingham)

Fall 2009: Jeff McMahon (SPT) to Physics

Chris Miller (SDSS C4) to Astronomy

the crew



halos = *amplified noise peaks*

$a=0.4$
($z=1.5$)

$a=1$
($z=0$)

halos = *amplified noise peaks*

$a=0.4$
($z=1.5$)

halo of
mass M
redshift z
= local Minkowski
patch in expanding
FRW metric

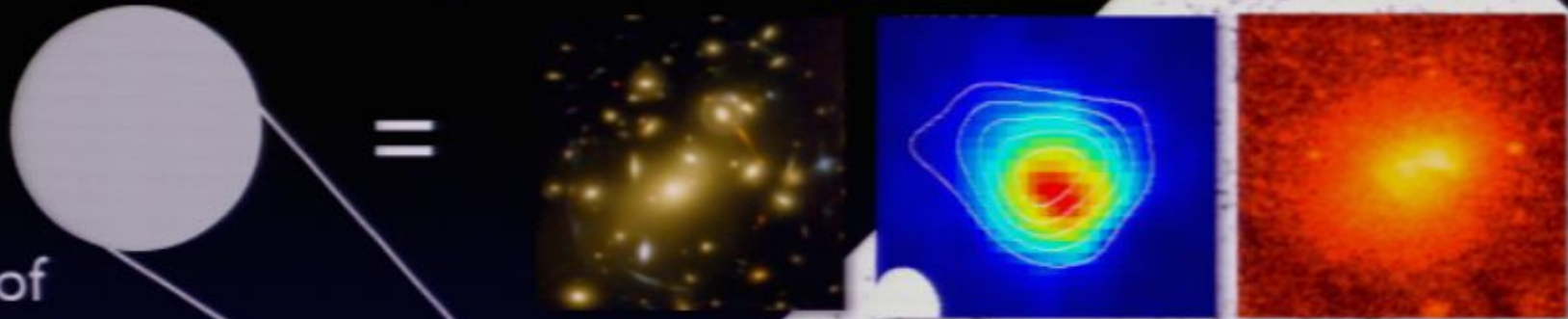


$a=1$
($z=0$)

halos = *amplified noise peaks*

$a=0.4$
($z=1.5$)

optical/lensing sub-mm X-ray



halo of
mass M
redshift z
= local Minkowski
patch in expanding
FRW metric

$a=1$
($z=0$)

Cluster counting is challenged by

1. 3D halo mass is not directly observable
need one or more signals to serve as a mass proxy
2. The universe is a big place
projection along Gpc sight-line affects cluster properties
3. Require theory to map counts to cosmological parameters
N-body simulation calibration needs baryonic extension
4. Cluster redshifts (~10k of them!) needed
rely on photometric rather than spectroscopic z 's



Astrophysics for Dummies

1. Dimensional analysis \Rightarrow mean relations are power-laws
2. Central Limit Theorem \Rightarrow deviations are log-normal

For i^{th} signal, mean behavior of $s_i = \ln(S_i)$ has slope m_i in $\ln M$.
For N such signals,

$$\bar{\mathbf{s}}(\mu, z) = \mathbf{m}(z)\mu + \mathbf{b}(z)$$

$$\mu = \ln M$$

and the halo signal likelihood is

$$p(\mathbf{s} | \mu, z) = \frac{1}{(2\pi)^{N/2} |\Psi|^{1/2}} \exp\left[-\frac{1}{2}(\mathbf{s} - \bar{\mathbf{s}})' \Psi^{-1} (\mathbf{s} - \bar{\mathbf{s}})\right]$$

with covariance

$$\Psi_{ij} = \left\langle (s_i - \bar{s}_i(\mu, z))(s_j - \bar{s}_j(\mu, z)) \right\rangle$$

local approach to the signal space density

Take a (locally) power-law mass function

$$n(\mu) = A \exp(-\alpha\mu) \quad ; \quad \alpha = \alpha(\mu, z)$$

and convolve it with the signal–mass relation to find the *signal space density*

$$n(\mathbf{s}) = \frac{A\Sigma}{(2\pi)^{(N-1)/2} |\Psi|^{1/2}} \exp \left[-\frac{1}{2} \left(\mathbf{s}' \Psi^{-1} \mathbf{s} - \frac{\bar{\mu}^2(\mathbf{s})}{\Sigma^2} \right) \right]$$

with mean mass

$$\bar{\mu}(\mathbf{s}) = \frac{\mathbf{m}' \Psi^{-1} \mathbf{s}}{\mathbf{m}' \Psi^{-1} \mathbf{m}} - \alpha \Sigma^2$$

and mass variance

$$\Sigma^2 = \left(\mathbf{m}' \Psi^{-1} \mathbf{m} \right)^{-1}$$

Select a halo sample based on some signal, s_1 .

Then the $\{\text{mass}, s_2\}$ likelihood is Gaussian with covariance

$$\tilde{\Psi} = \begin{bmatrix} \sigma_{21}^2 & \tilde{r}\sigma_{21}\sigma_{\mu 1} \\ \tilde{r}\sigma_{21}\sigma_{\mu 1} & \sigma_{\mu 1}^2 \end{bmatrix}$$

$$\sigma_{21}^2 = m_2^2 (\sigma_{\mu 1}^2 + \sigma_{\mu 2}^2 - 2r\sigma_{\mu 1}\sigma_{\mu 2})$$

$$\sigma_{\mu i} = \sigma_i / m_i \quad \text{mass scatter}$$

$$\tilde{r} = \frac{(\sigma_{\mu 1} / \sigma_{\mu 2} - r)}{\sqrt{1 - r^2 + (\sigma_{\mu 1} / \sigma_{\mu 2} - r)^2}}$$

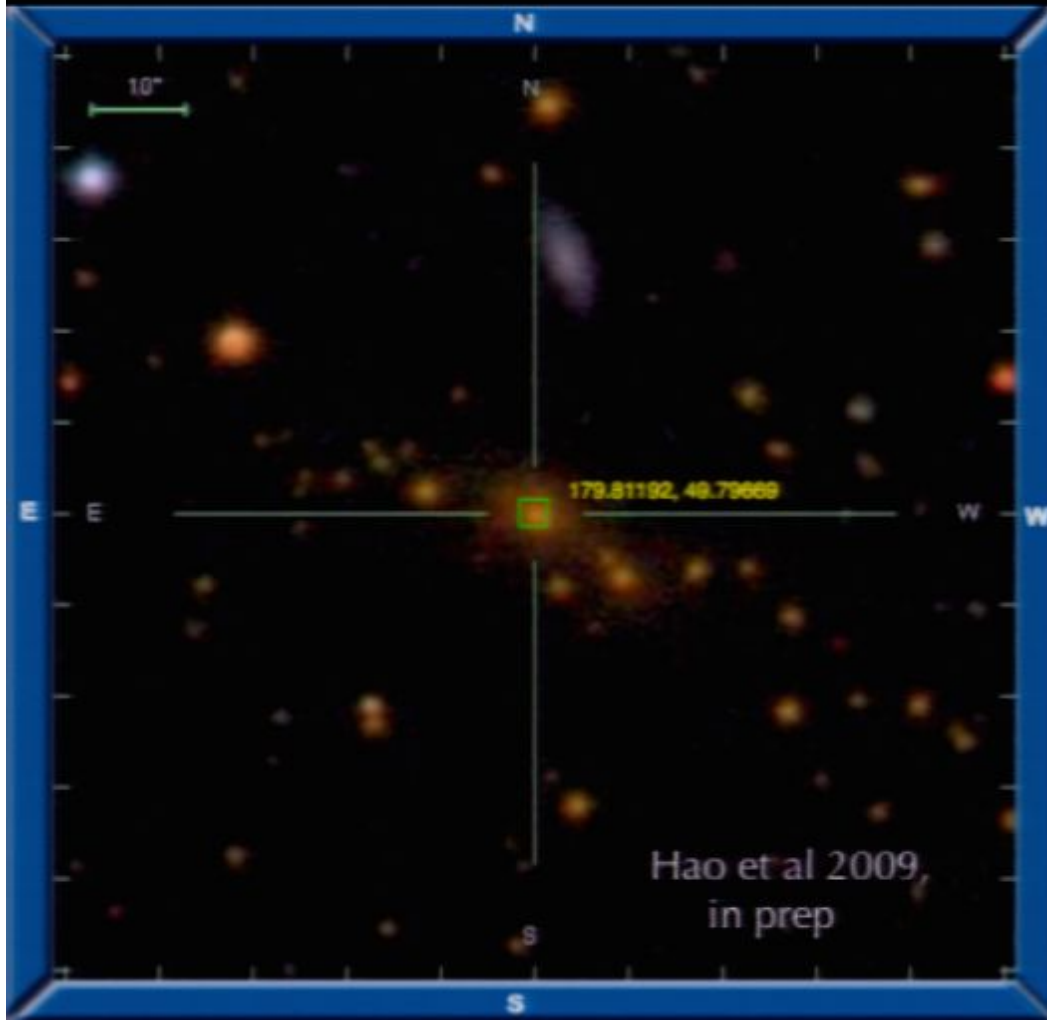
and the s_2 -mass scaling for s_1 -binned samples may be biased

$$\bar{s}_2(s_1) = m_2 \left(\bar{\mu}(s_1) + \alpha(\bar{\mu}, z) r \sigma_{\mu 1} \sigma_{\mu 2} \right)$$

$$d\bar{s}_2 / d\bar{\mu} = m_2 \left(1 + (r \sigma_{\mu 1} \sigma_{\mu 2}) \partial \alpha(\bar{\mu}, z) / \partial \bar{\mu} \right)$$

SDSS maxbcg analysis

SDSS maxbcg analysis



extension to r-i pushes to higher z

$N_{\text{gals}}=79, z=0.35$

~13,000 clusters, ≥ 10 galaxies

$0.1 < z < 0.3$

based on excess counts of g-r
red sequence galaxies

Koester et al 2007a,b

follow-up studies:

★ stacked weak lensing masses

Johnston et al 2007; Sheldon et al 2007

★ velocity dispersion–richness

Becker et al 2007

★ X-ray luminosity–richness

Rykoff et al 2008a

★ X-ray luminosity–lensing mass

Rykoff et al 2008a

★ improved richness estimator

Rozo et al 2008a

★ scatter in mass–richness

Rozo et al 2008b

★ cosmological constraints

Rozo et al 2009

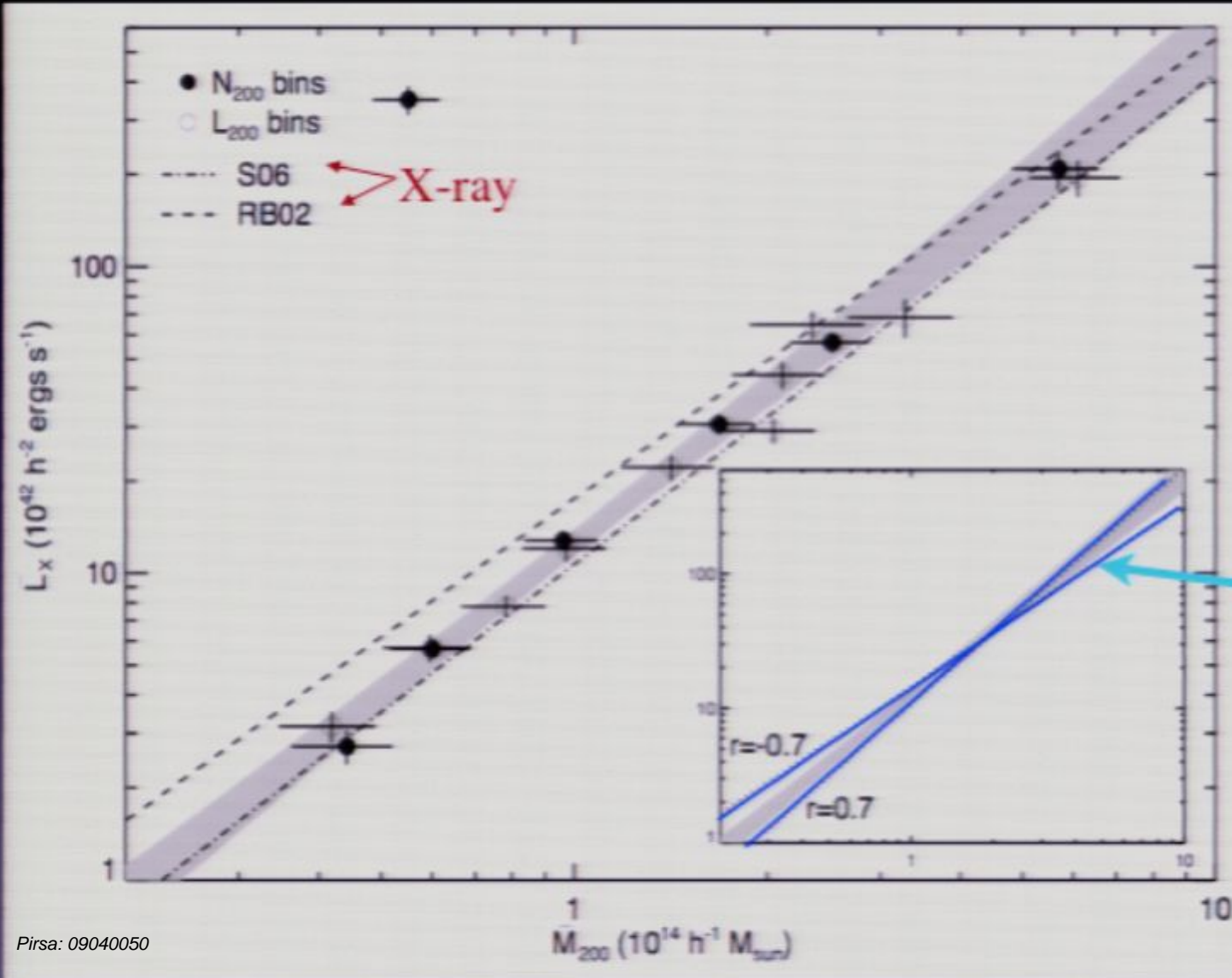
mean L_X -Mass scaling

17000 clusters, $N_{gal} \geq 9$

M_{200} from weak lensing, L_X from RASS (stacked N_{gal} bins)

Johston et al 2007

Rykoff et al 2008b



Good agreement
between X-ray and
optically selected
samples

slope = 1.6 ± 0.1

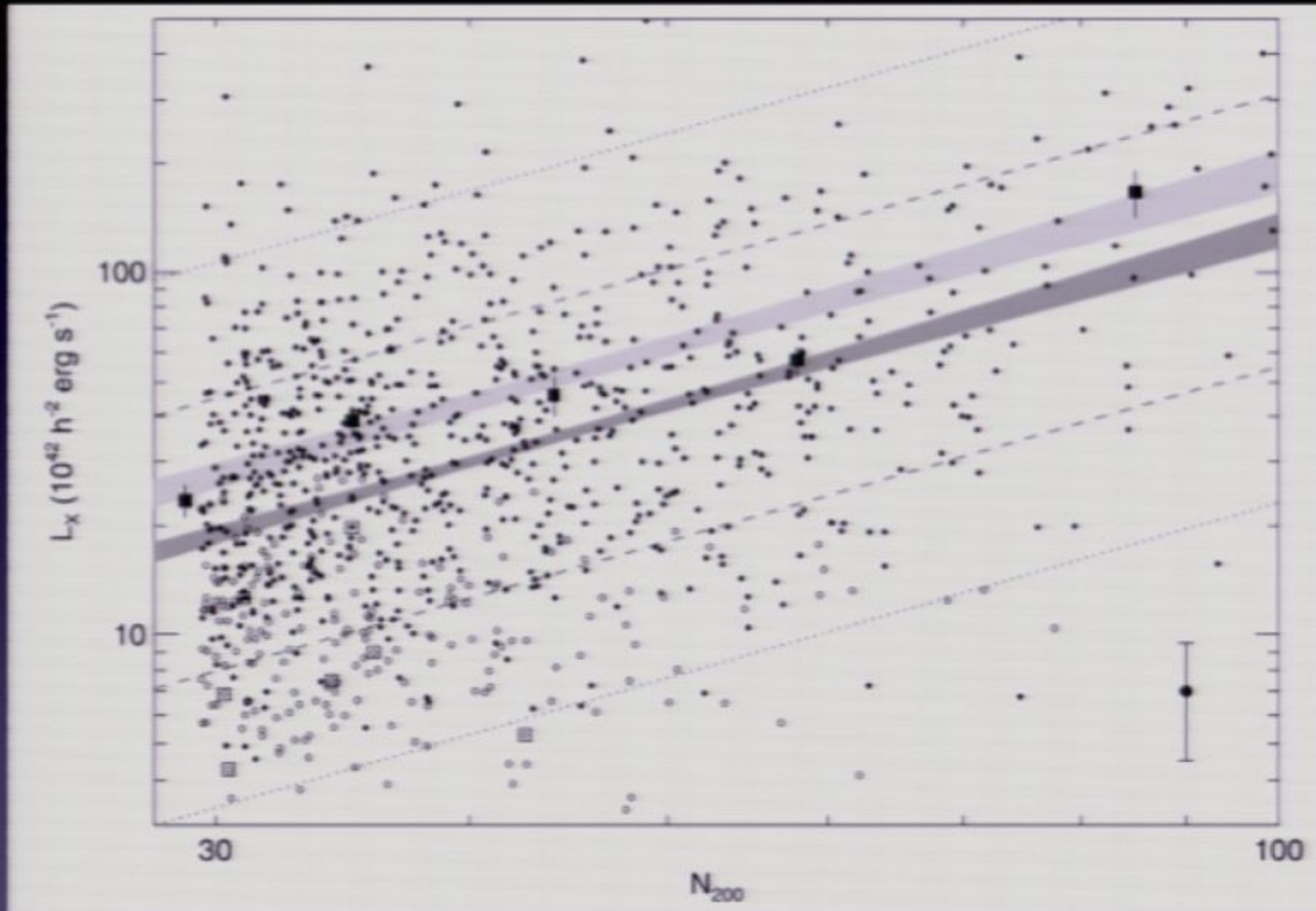
potential **tilt** due to
optical-X-ray
correlation and
running of MF slope

Lx variance at fixed optical richness

Rykoff et al 2008a

variance in Lx at fixed Ngal

$$\sigma_{\ln L_X | N_{gal}} = 0.83 \pm 0.03$$

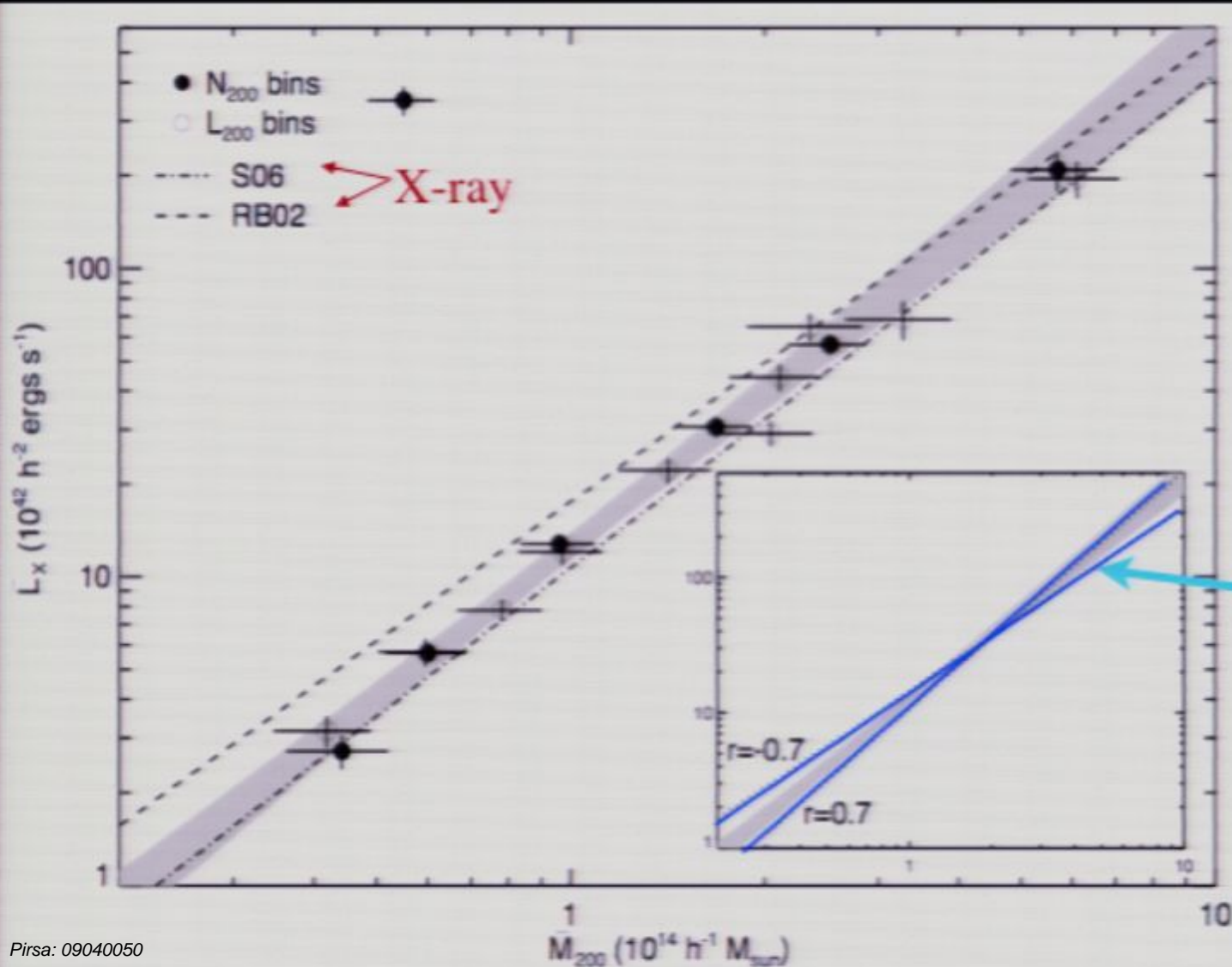


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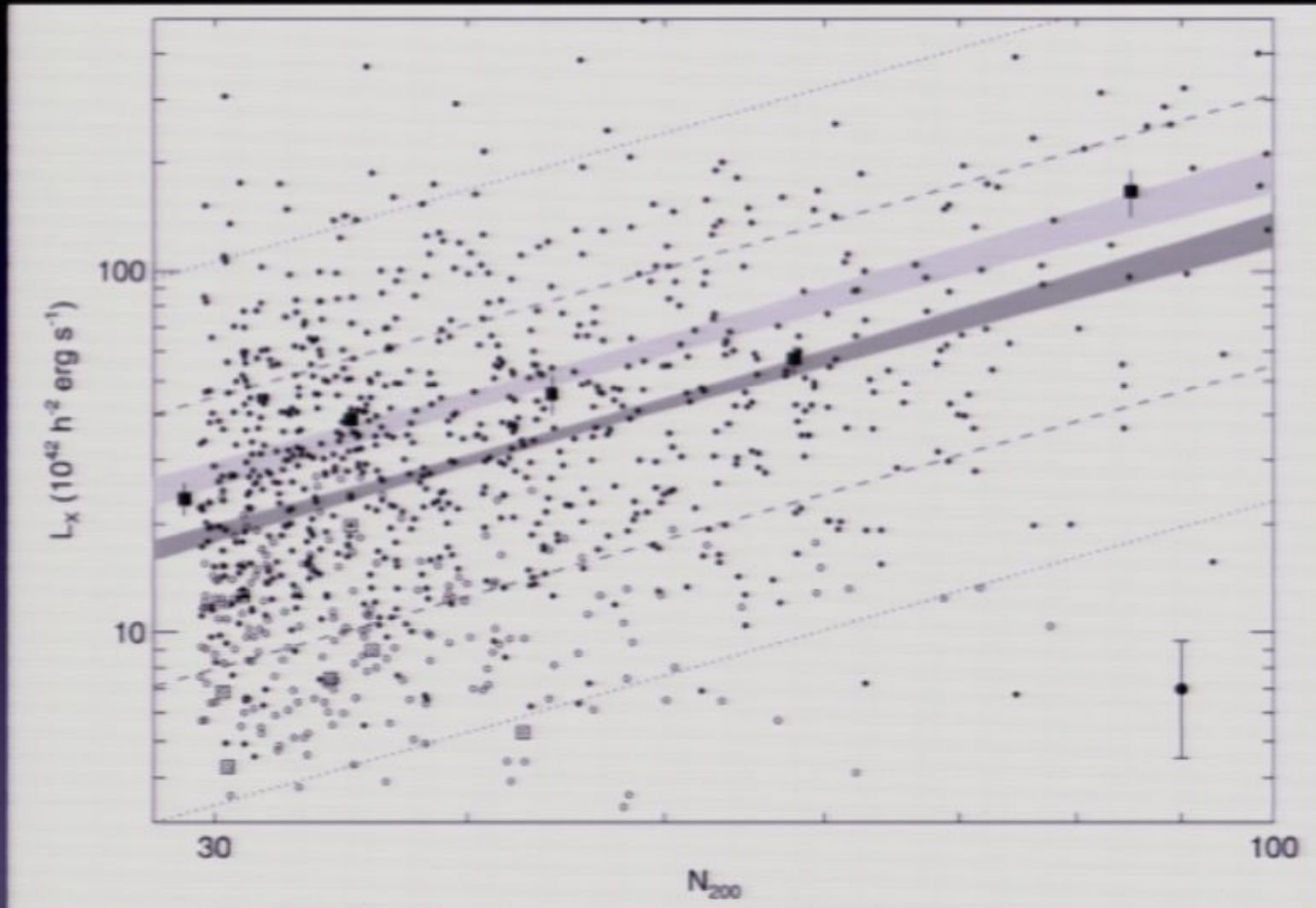
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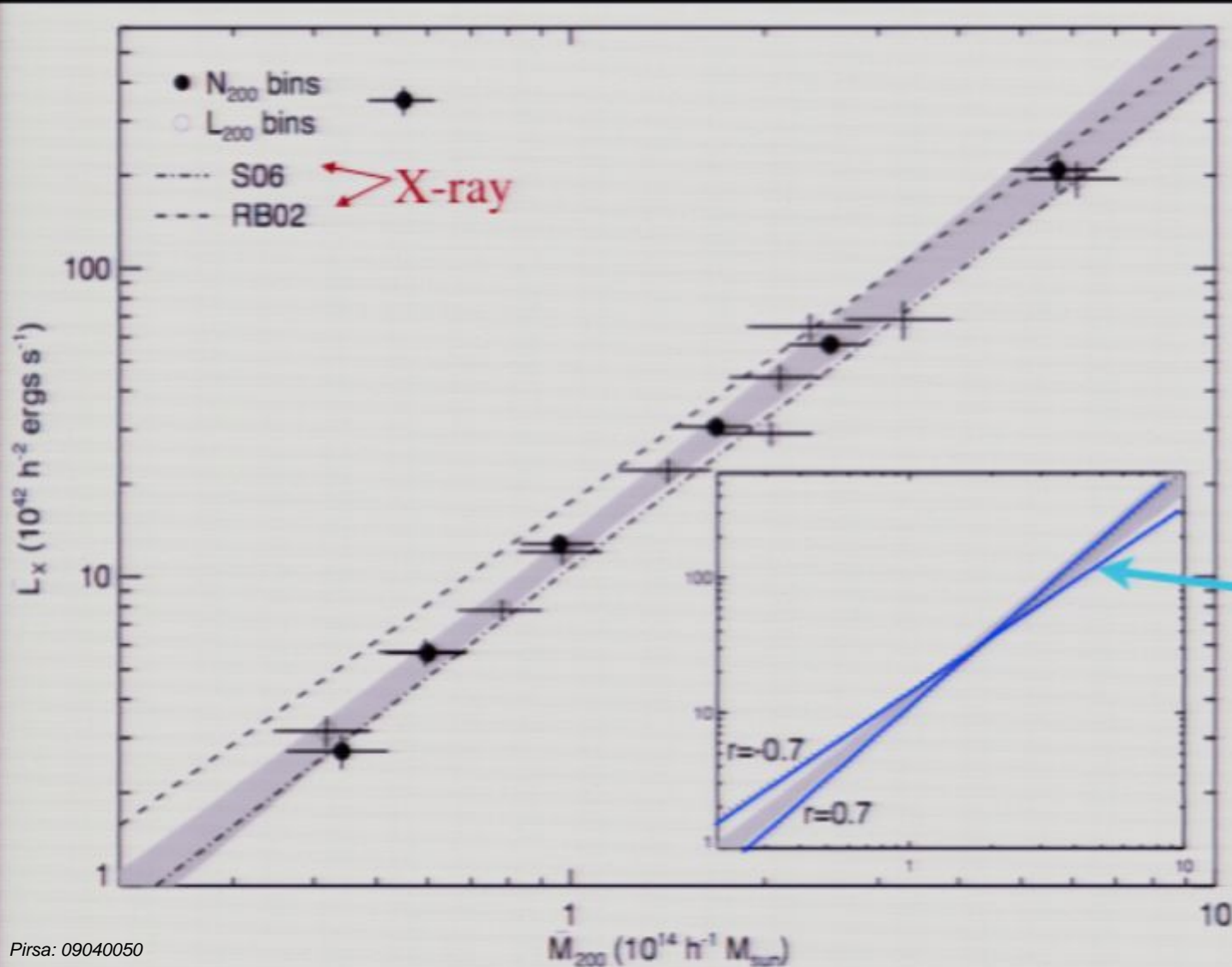


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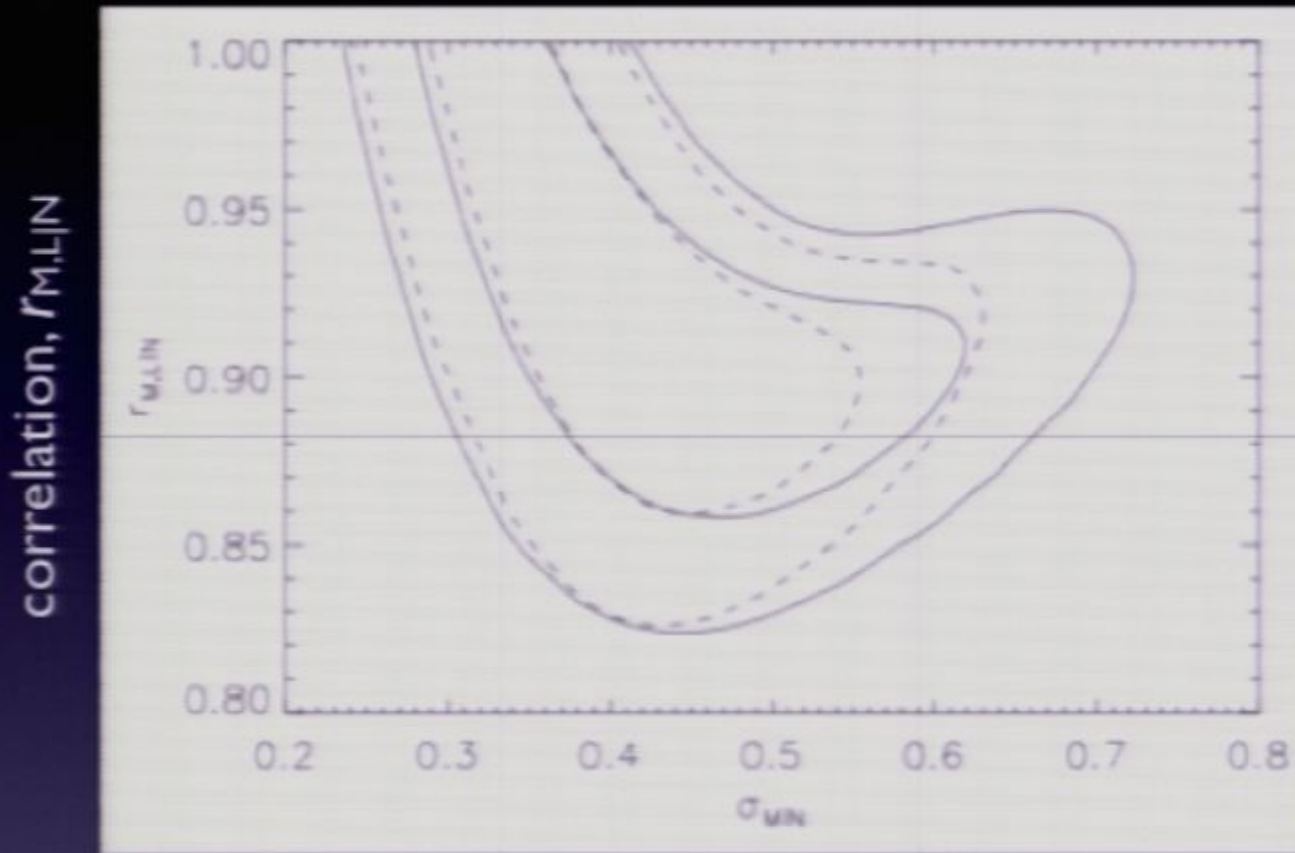


Good agreement
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potential **tilt** due to
optical-X-ray
correlation and
running of MF slope

first measurement of property covariance for clusters

Rozo et al 2008b



scatter in $\ln(\text{mass})$ at fixed N_{gal}

From SDSS-RASS:

- $dn(N_{200})/dN_{200}$
- $L_X - N_{200}$ scaling
slope, norm, scatter
- $M_{200} - N_{200}$ scaling
slope, norm

missing:

$M_{200} - N_{200}$ scatter

$M_{200}, L_X | N_{200}$ correlation

Extra information:

400d survey

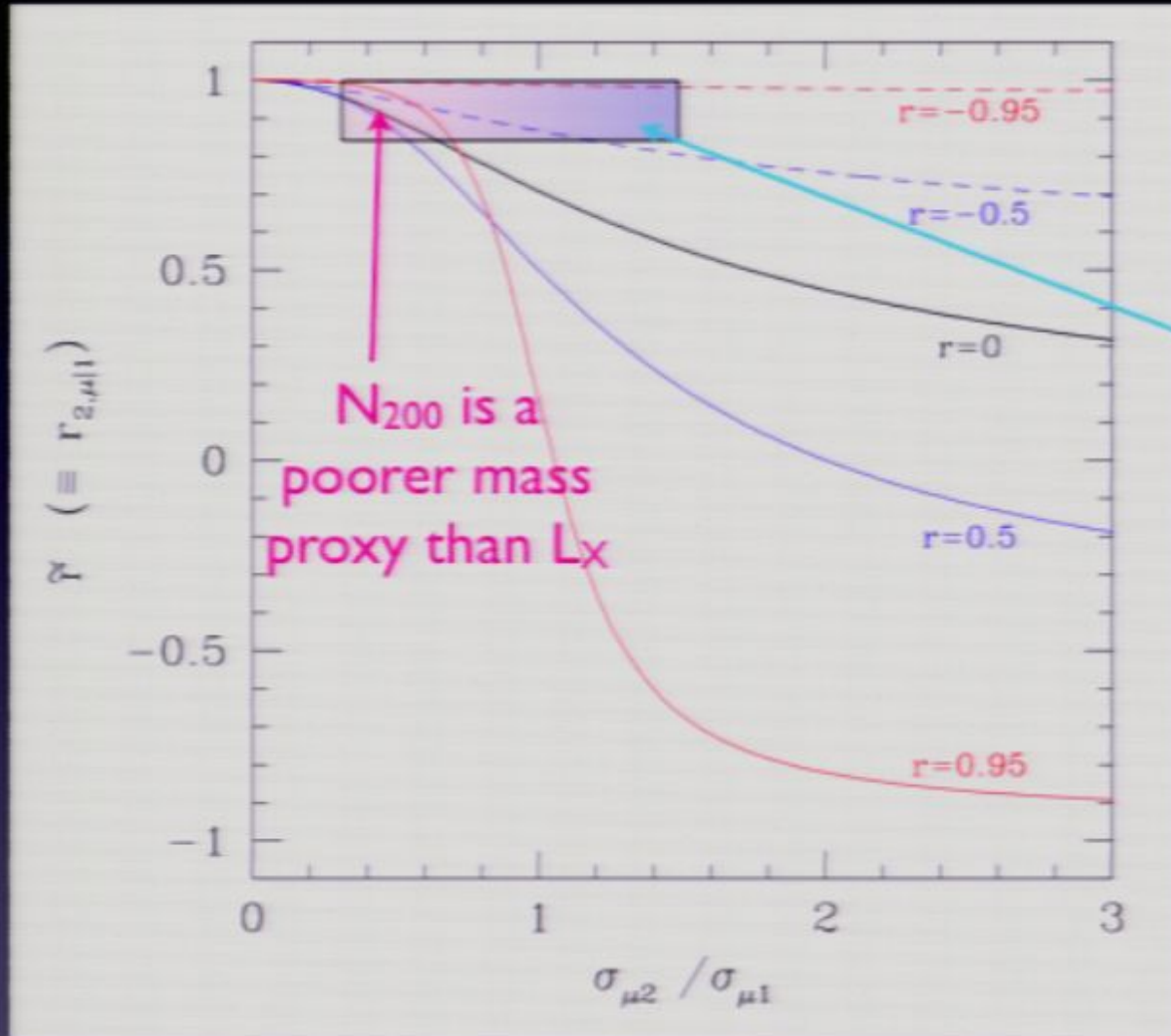
$L_X - M_{500}$ scaling

slope, norm, scatter

Vikhlinin et al 2008

what does a large covariance in mass and L_x mean?

correlation, $r_{M,L|N}$



ratio of rms mass variance (L_x / N_{gal})

COSMOLOGICAL CONSTRAINTS FROM THE SDSS MAXBCG CLUSTER CATALOG

EDUARDO ROZO¹, RISA H. WECHSLER², ELI S. RYKOFF³, JAMES T. ANNIS⁴, MATTHEW R. BECKER^{5,6}, AUGUST E. EVRARD^{7,8,9}, JOSHUA A. FRIEMAN^{4,6,10}, SARAH M. HANSEN¹¹, JIANGANG HAO⁷, DAVID E. JOHNSTON¹², BENJAMIN P. KOESTER^{6,10}, TIMOTHY A. MCKAY^{7,8,9}, ERIN S. SHELDON¹³, DAVID H. WEINBERG^{1,14}

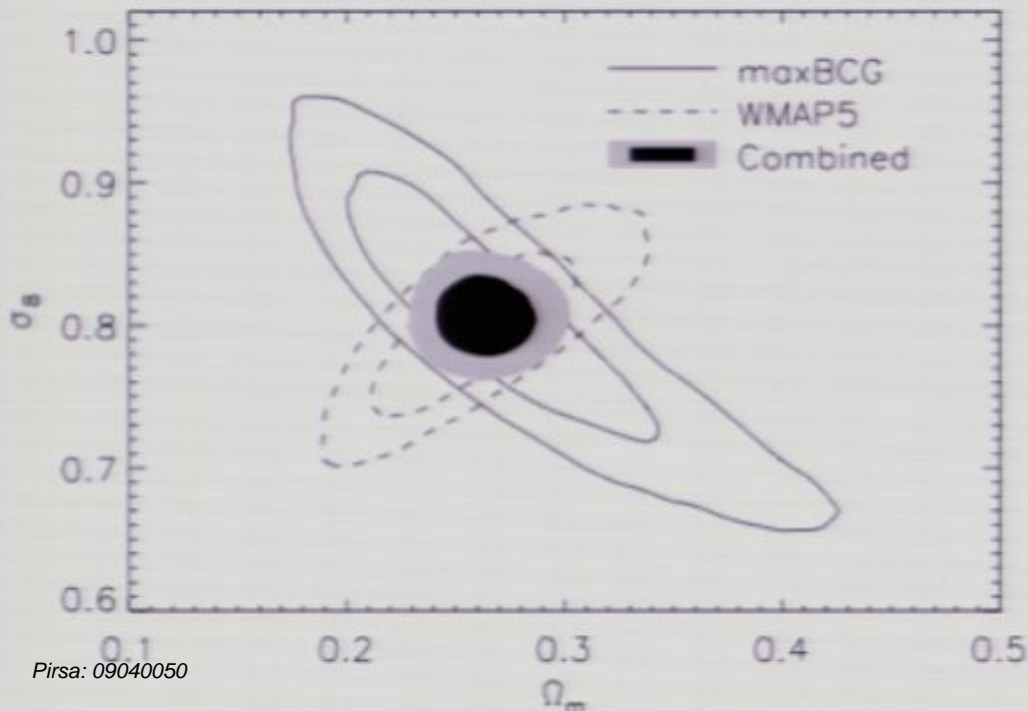
Draft version February 21, 2009

ABSTRACT

We use the abundance and weak lensing mass measurements of the SDSS maxBCG cluster catalog to simultaneously constrain cosmology and the richness–mass relation of the clusters. Assuming a flat Λ CDM cosmology, we find $\sigma_8(\Omega_m/0.25)^{0.41} = 0.832 \pm 0.033$ after marginalization over all systematics. In common with previous studies, our error budget is dominated by systematic uncertainties, the primary two being the absolute mass scale of the weak lensing masses of the maxBCG clusters, and uncertainty in the scatter of the richness–mass relation. Our constraints are fully consistent with the WMAP five-year data, and in a joint analysis we find $\sigma_8 = 0.807 \pm 0.020$ and $\Omega_m = 0.265 \pm 0.016$, an improvement of nearly a factor of two relative to WMAP5 alone. Our results are also in excellent agreement with and comparable in precision to the latest cosmological constraints from X-ray cluster abundances. The remarkable consistency among these results demonstrates that cluster abundance constraints are not only tight but also robust, and highlight the power of optically-selected cluster samples to produce precision constraints on cosmological parameters.

TABLE 3

Parameter ^a	Prior ^b	Importance ^c
σ_8	[0.4, 1.2]	unrestrictive
Ω_m	[0.05, 0.95]	unrestrictive
$\langle \ln N_{200} M_1 \rangle$	flat	unrestrictive
$\langle \ln N_{200} M_2 \rangle$	flat	unrestrictive
$\sigma_{N_{200} M}$	[0.1, 1.5]	unrestrictive
β	1.00 ± 0.06 ; [0.5, 1.5]	restrictive



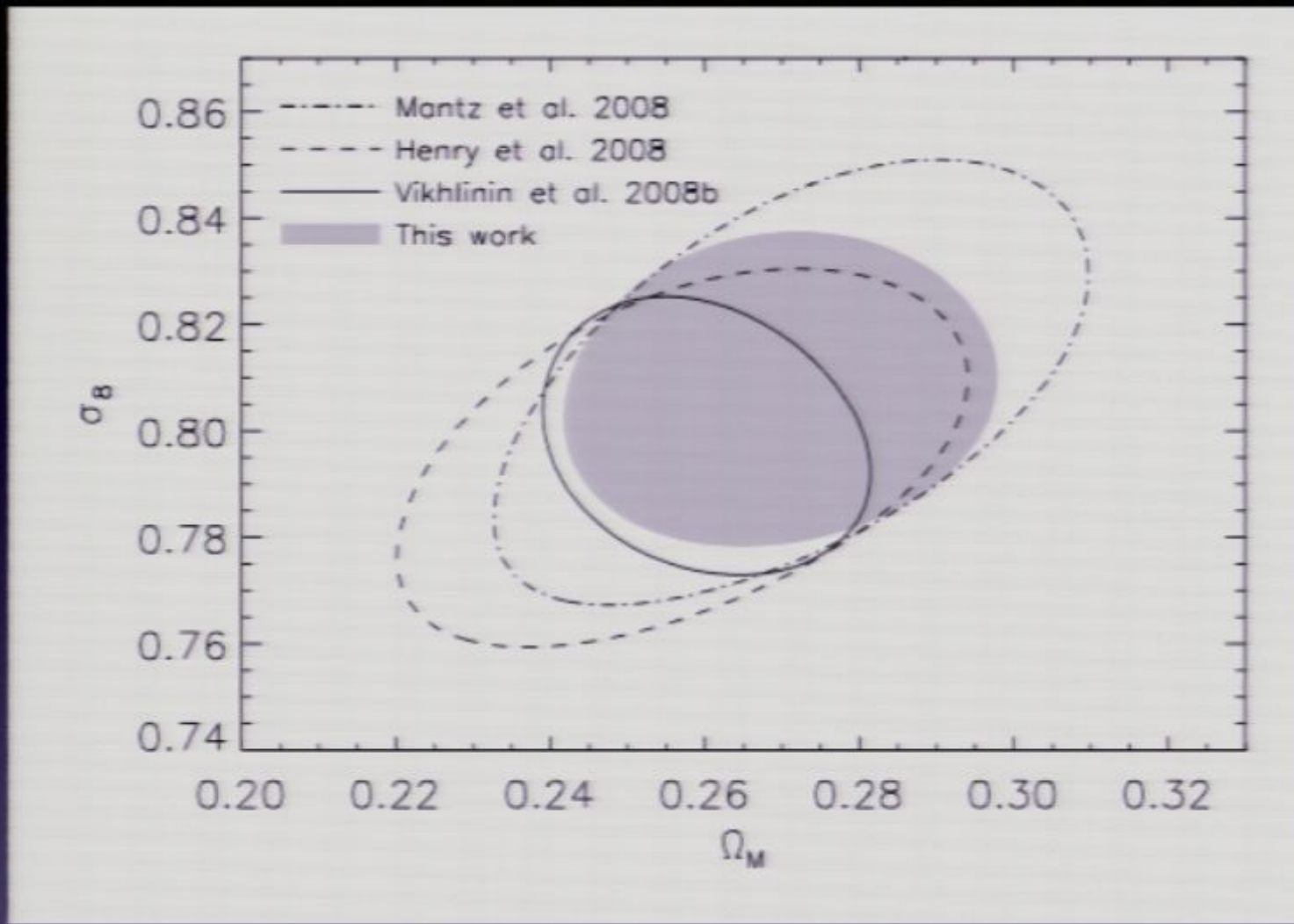
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 TABLE 4
 BEST FIT MODEL

Parameter ^a	maxBCG	maxBCG+WMAP5 ^b
σ_8	0.804 ± 0.073	0.807 ± 0.020
Ω_m	0.281 ± 0.066	0.269 ± 0.018
$\langle \ln N_{200} M_1 \rangle$	2.47 ± 0.10	2.48 ± 0.10
$\langle \ln N_{200} M_2 \rangle$	4.21 ± 0.19	4.21 ± 0.13
$\sigma_{N_{200} M}$	0.357 ± 0.073	0.348 ± 0.071
β	1.016 ± 0.060	1.013 ± 0.059

^aThe masses M_1 and M_2 are set to $1.3 \times 10^{14} M_\odot$ and $1.3 \times 10^{15} M_\odot$ respectively.

^bThese values are obtained by including the WMAP5 prior $\sigma_8(\Omega_m/0.25)^{-0.312} = 0.790 \pm 0.024$. See Section 4.3 for details.



- ★ red sequence finders identify ~same population as X-rays
- ★ stacked lensing masses + X-ray $\Rightarrow L_x \sim M^{(1.6 \pm 0.1)}$
- ★ scatter in mass-richness $\sim 0.45 \pm 0.09$
- ★ beginning to explore covariance in L_x - N_{gal}

- ★ cosmological constraints

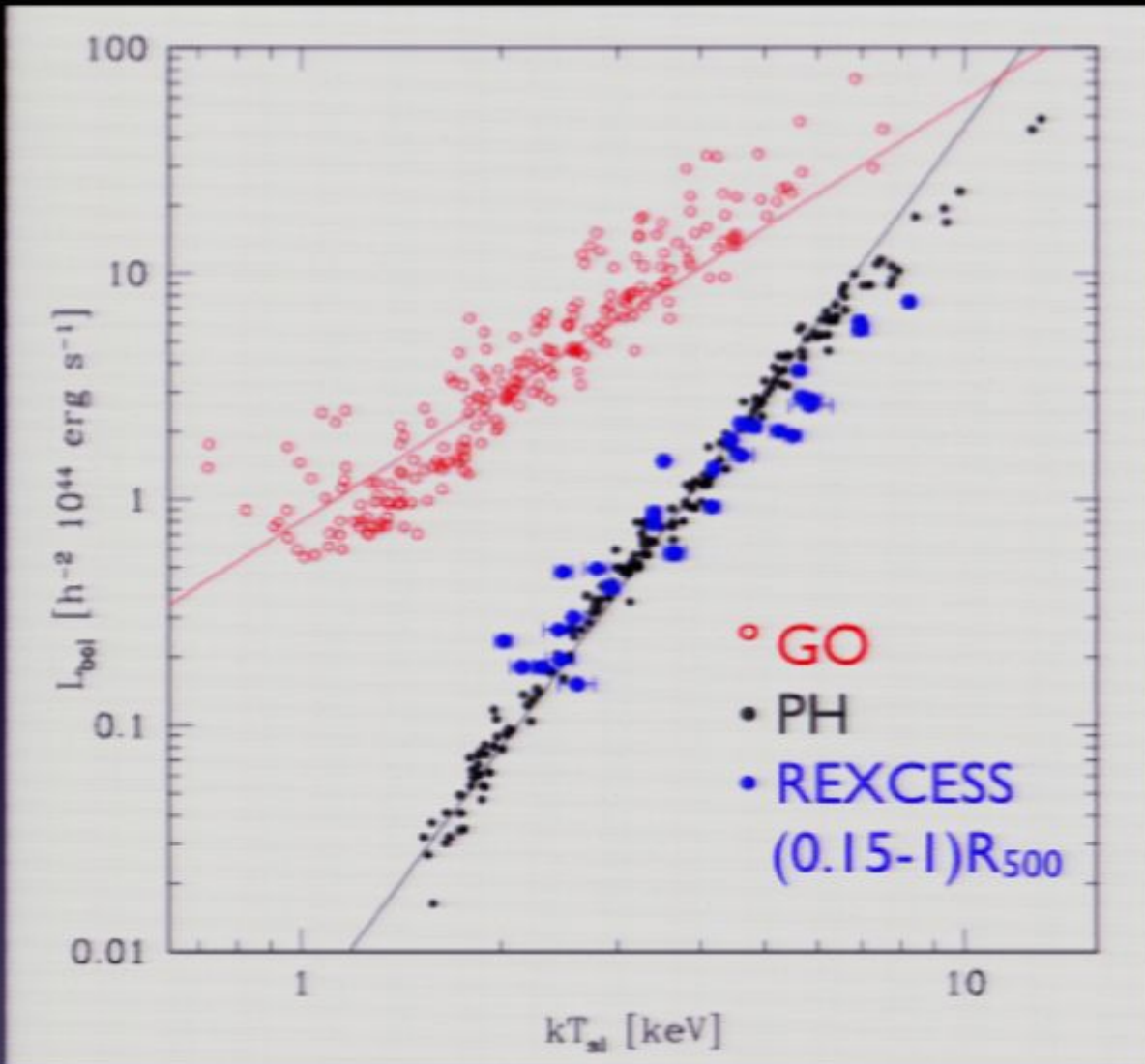
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Millennium Gas Simulations (MGS)



GADGET-2 resimulations
of Millennium Sim volume

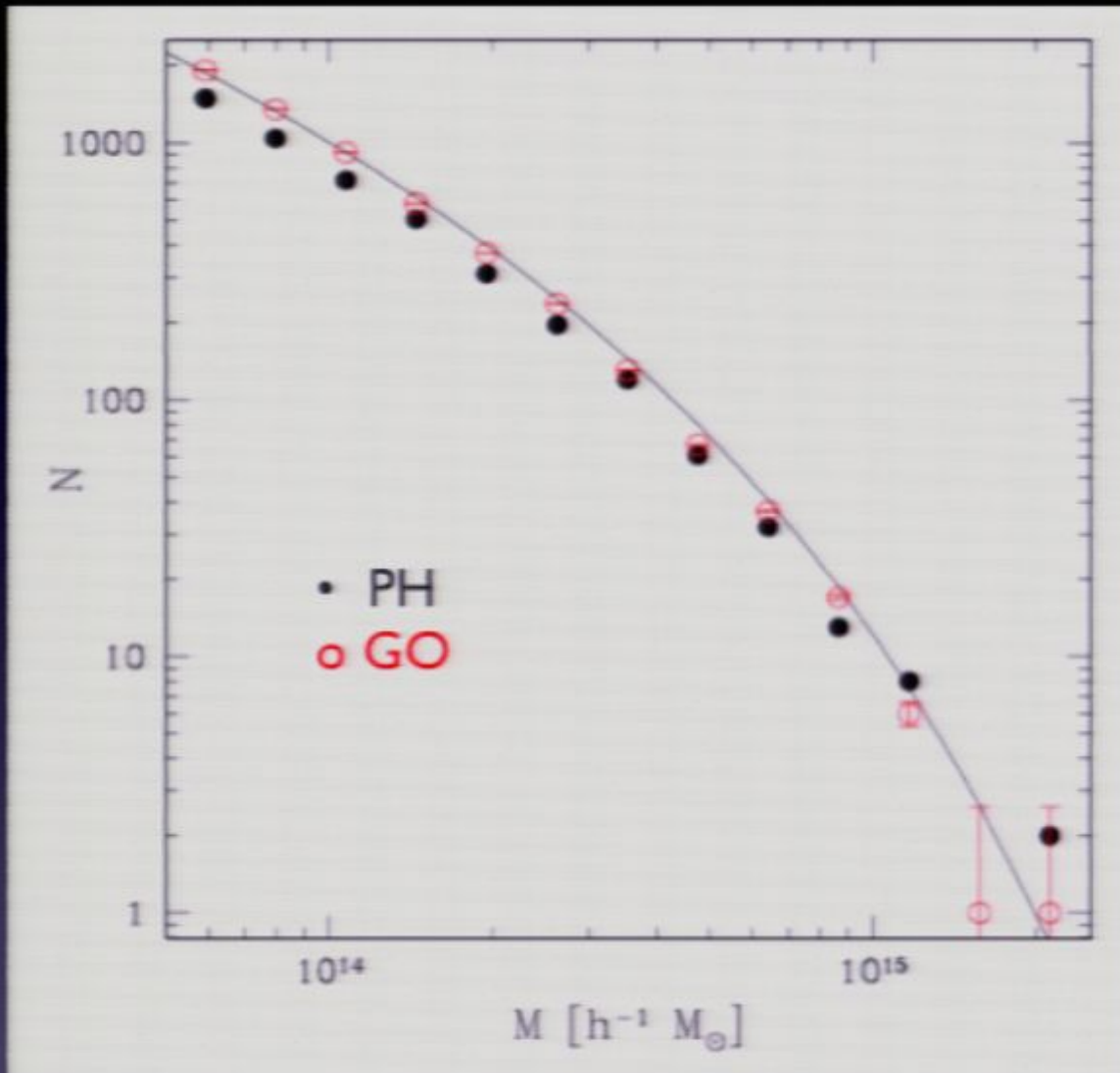
- 500 Mpc/h
- 1e9 gas+DM particles
- $m_p(\text{DM}) \sim 1.4e10 \text{ Msun}$
- 25 kpc/h softening
- same cosmology as MS

physical treatments:

GO: gravity only

PH: preheated gas
200 keV-cm² @z=4

MGS massive halo yield



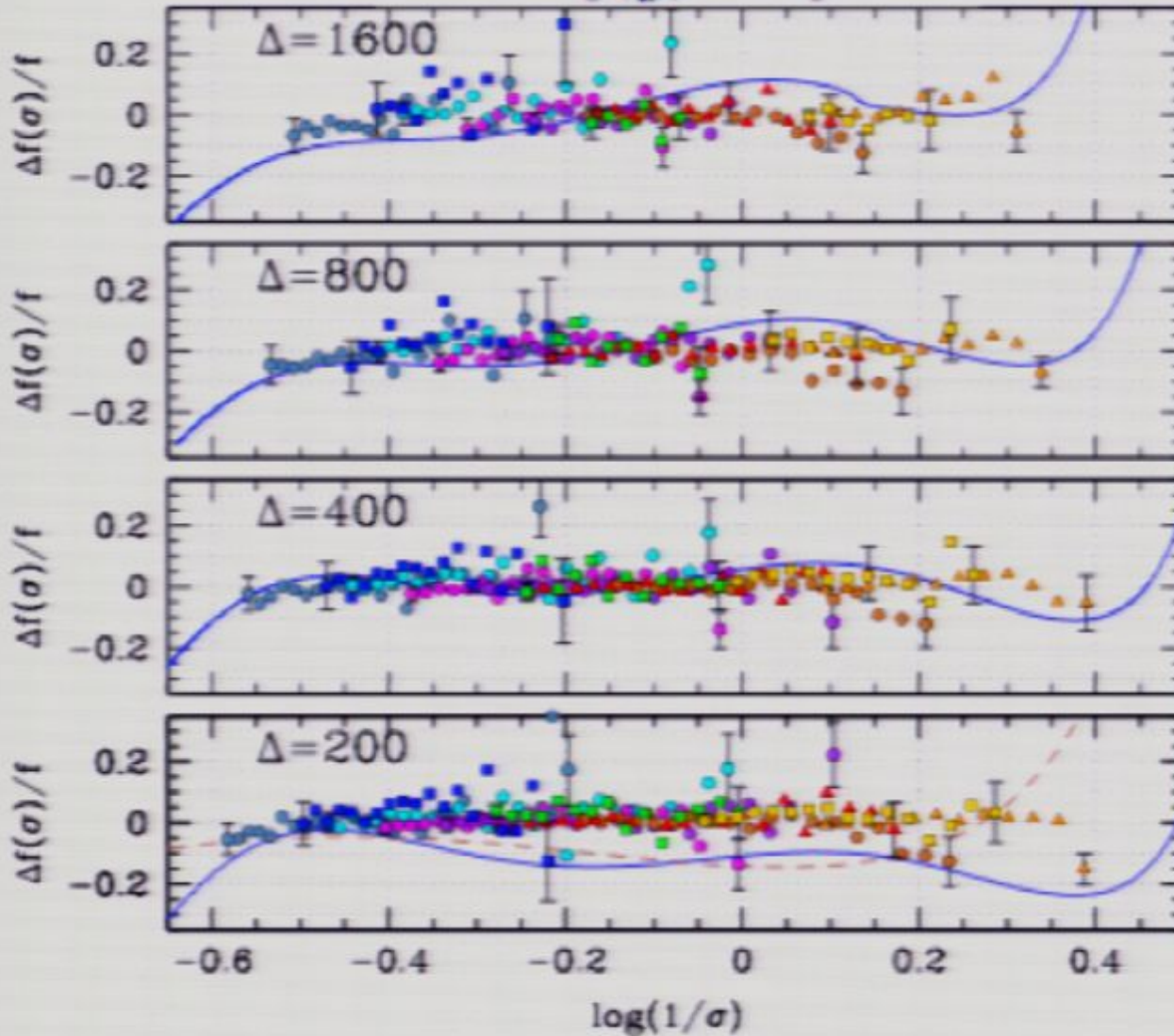
halos at $z=0$ with
 $M_{200} \geq 5 \times 10^{13} M_{\text{sun}}/h$:

4474 (PH)

5612 (GO)

Tinker et al (2008)

$$f(\sigma) = A \left[\left(\frac{\sigma}{b} \right)^{-\alpha} + 1 \right] e^{-c/\sigma^2}$$



22 N-body simulations with $N \geq 512^3$

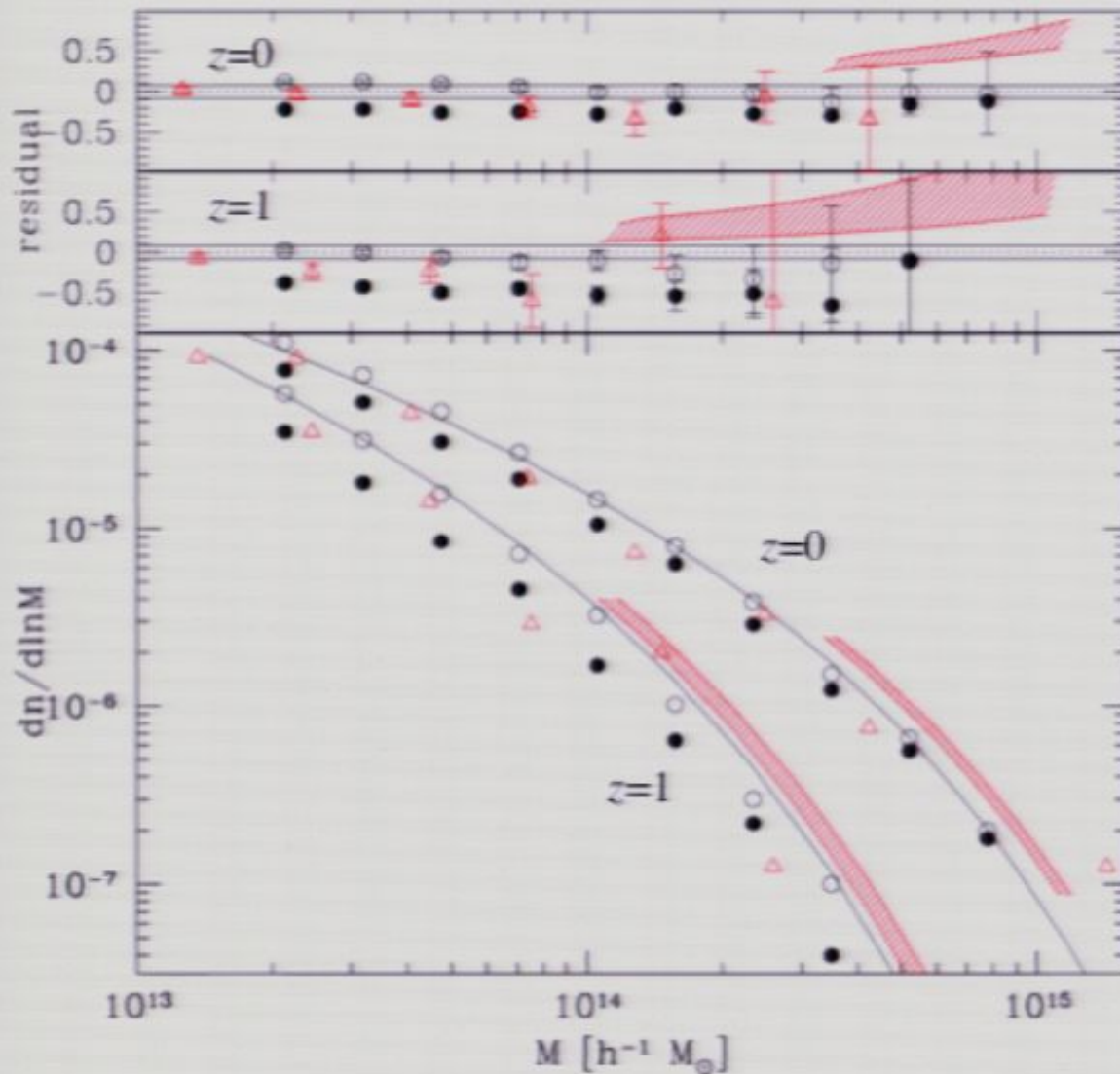
– 5% statistical accuracy in counts

– similarity not exact in time (need z -factors)

see also:
Sheth & Tormen 1999
Reed et al 2000
Jenkins et al 2001
Evrard et al 2002
Hu & Kravtsov 2003
Warren et al 2006

sensitivity of halo space density to baryon physics

Staneck et al 0809.2805



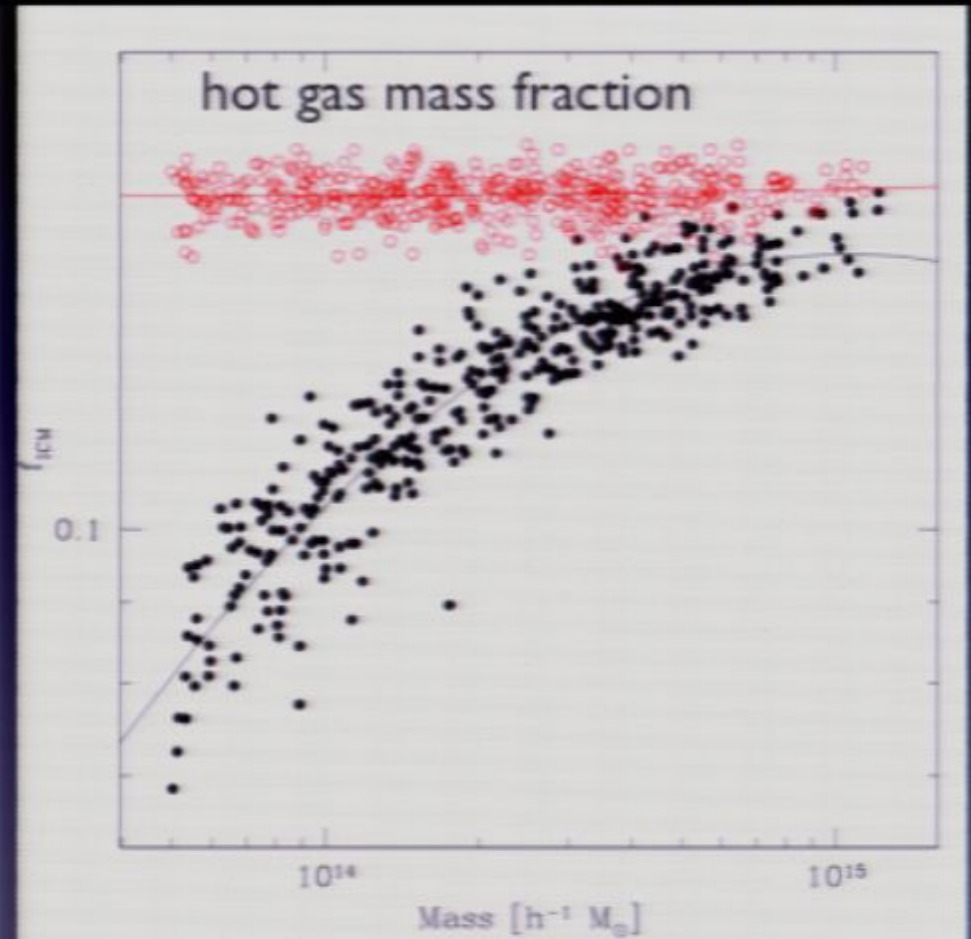
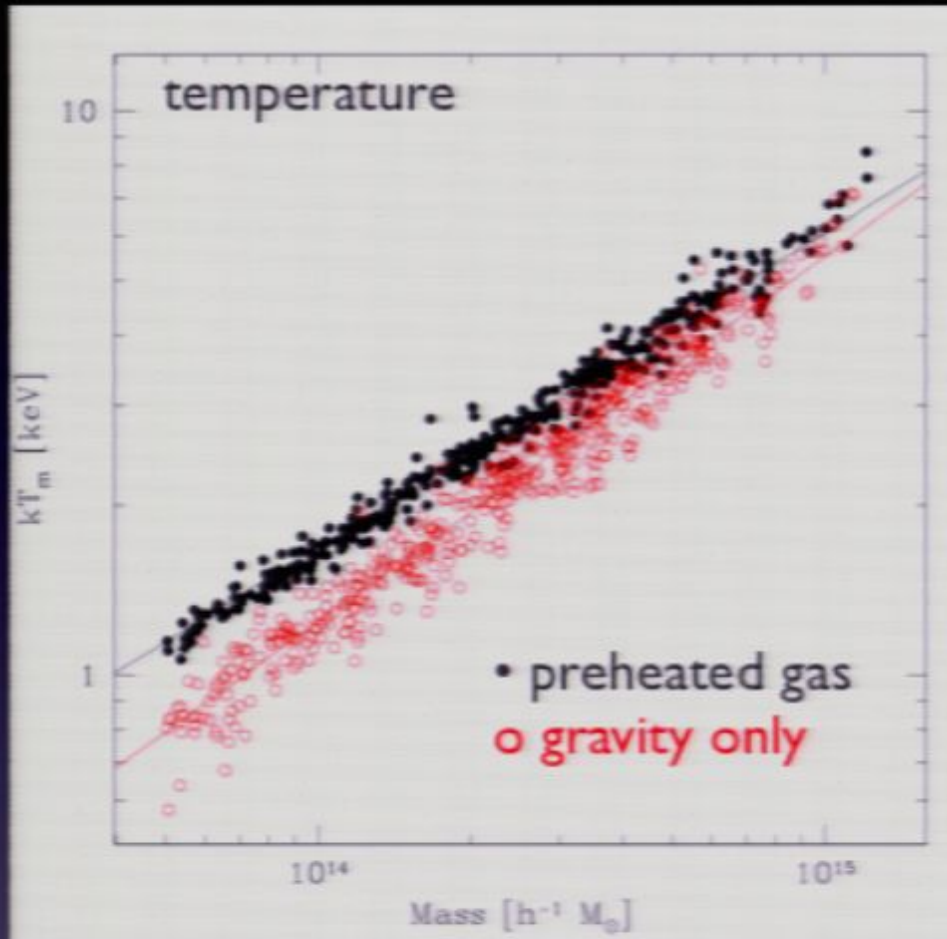
- complex baryon physics shifts halo total mass (M_{500})
- **maximal** effects are $>5\%$ statistical error of Tinker et al (2008)

2 pairs of simulations

- MGS-gravity only
- MGS-preheat
- △ ART-gravity only
- ART-cool/star/feedback

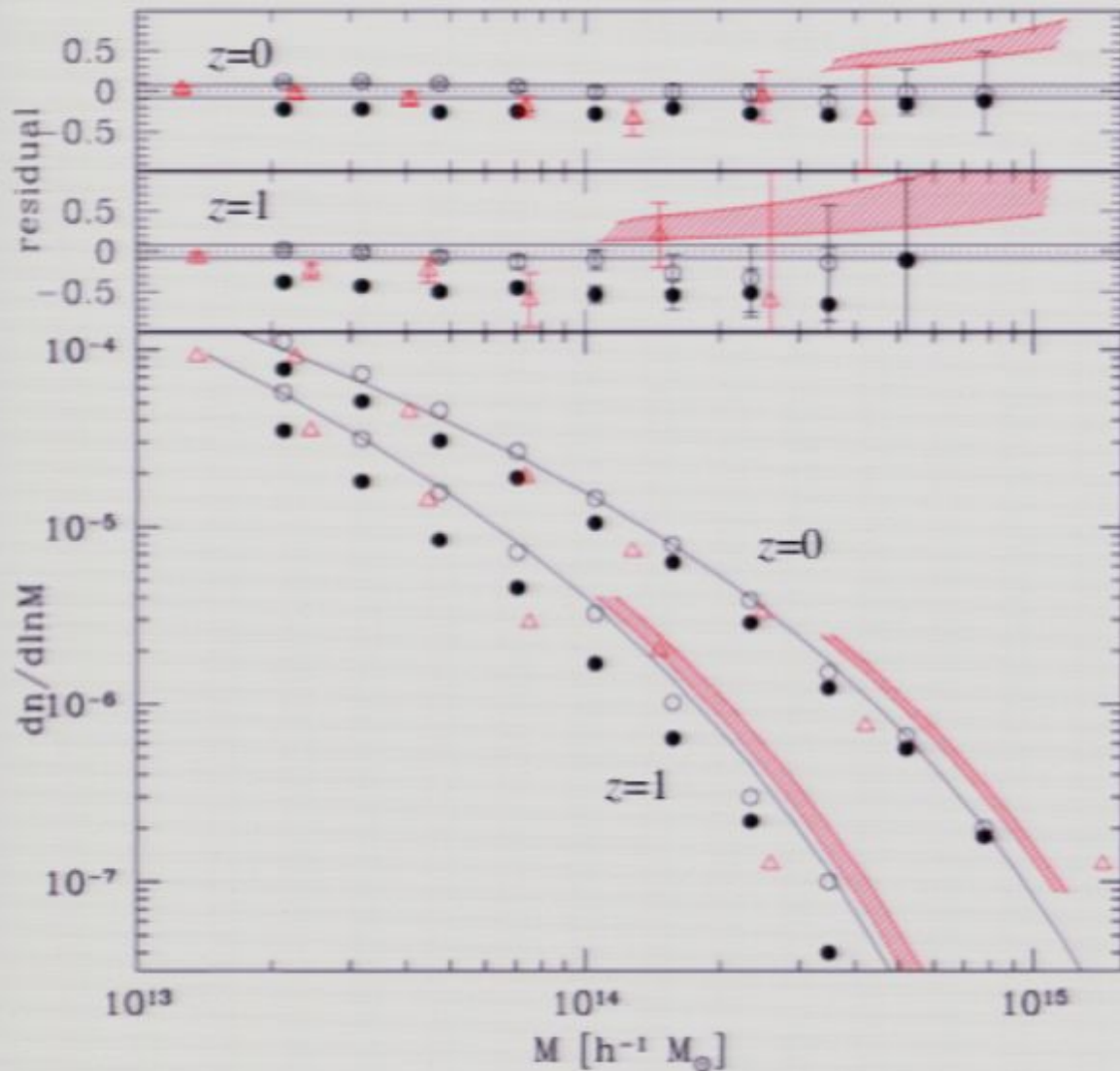
halo scalings from Millennium Simulation with gas dynamics treatments

Stanek et al, in prep



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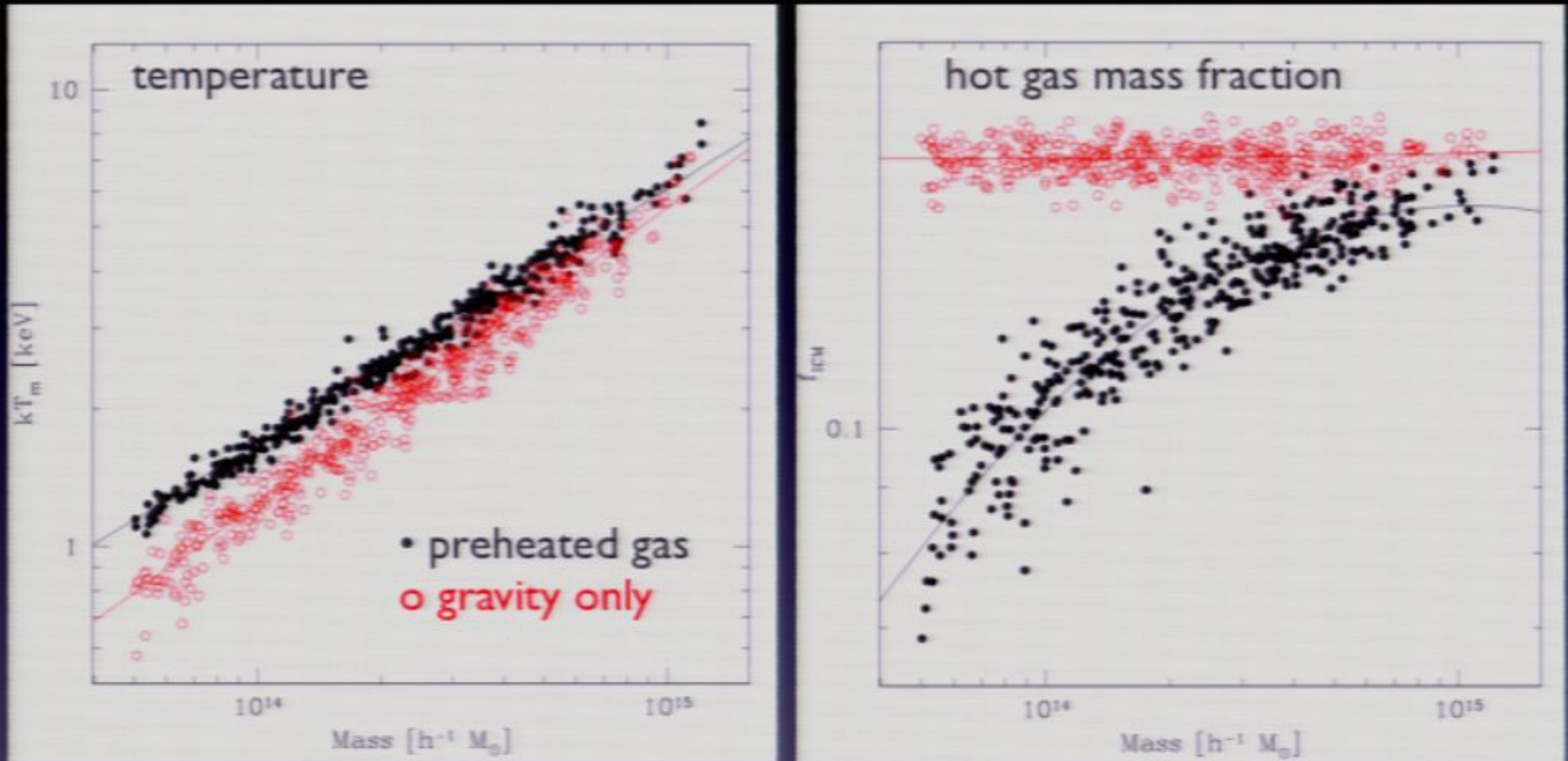
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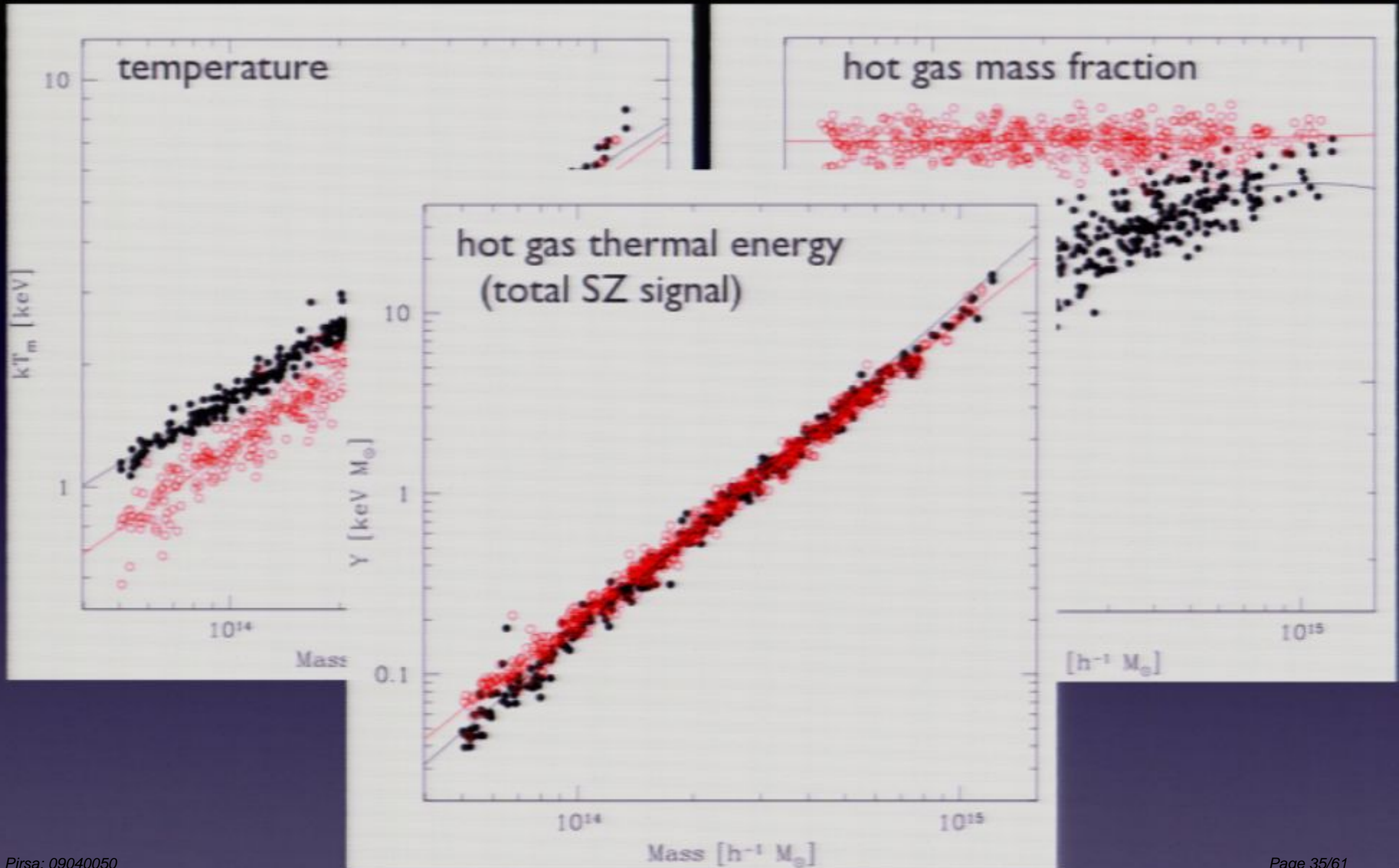
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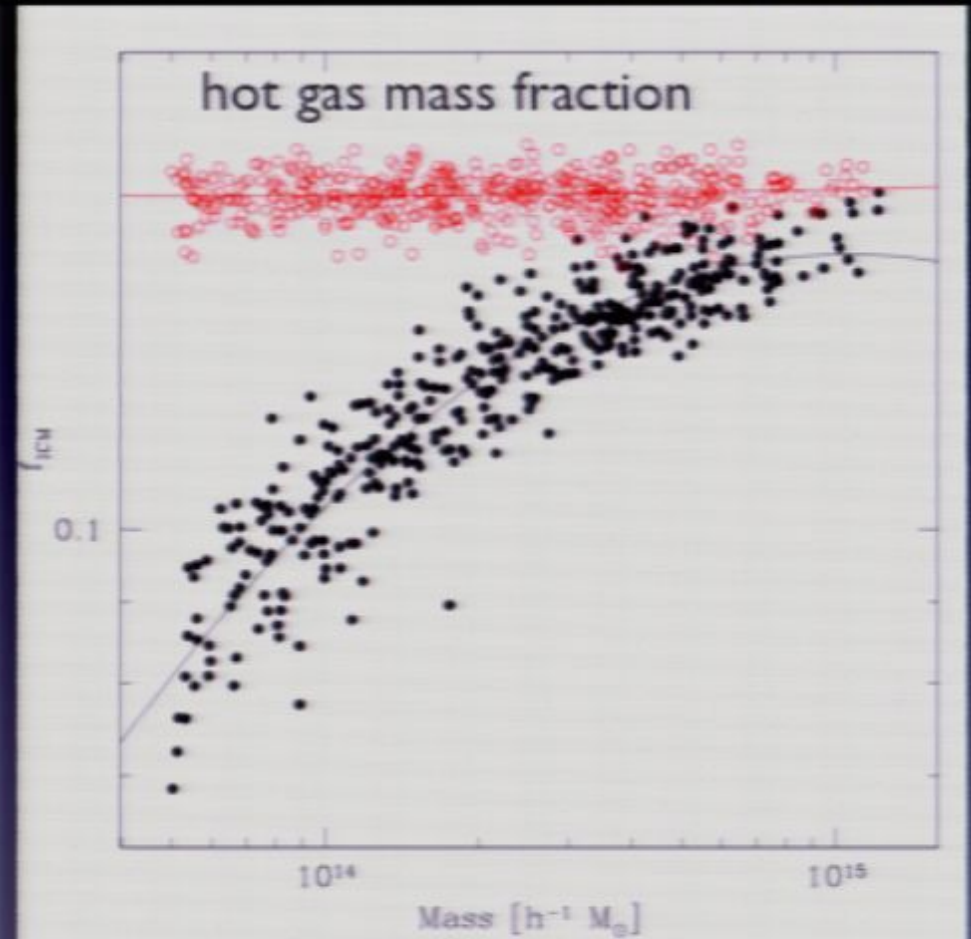
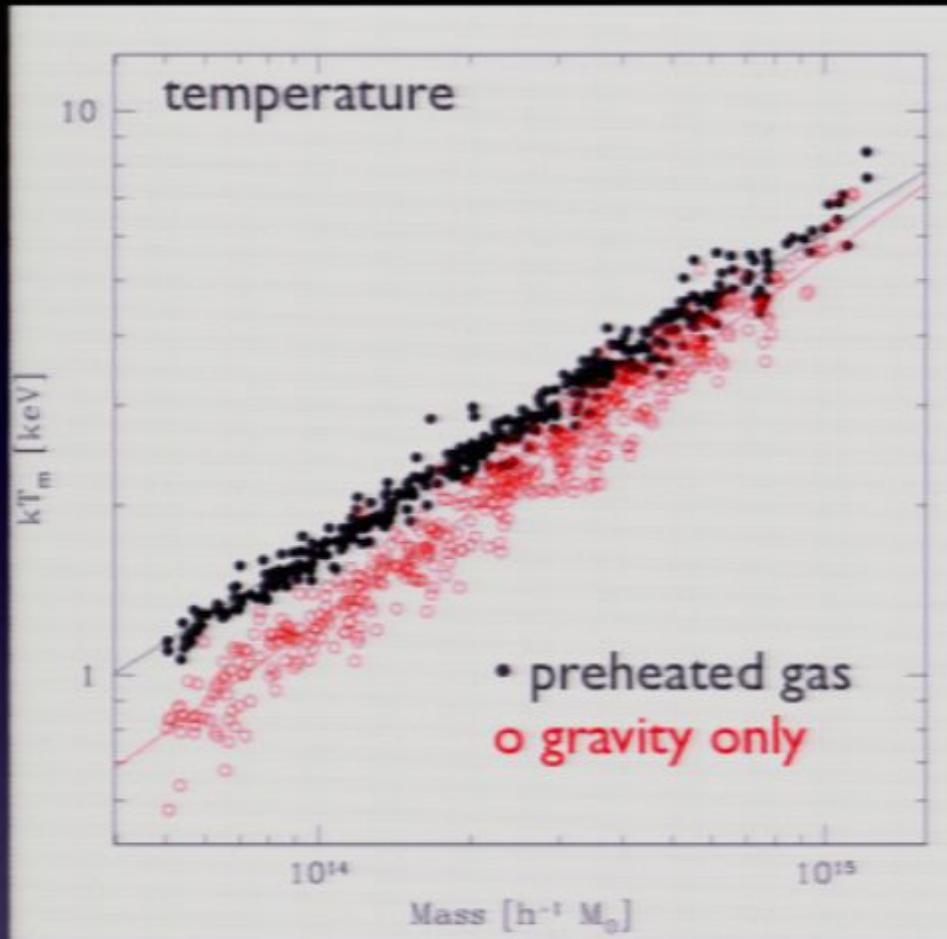
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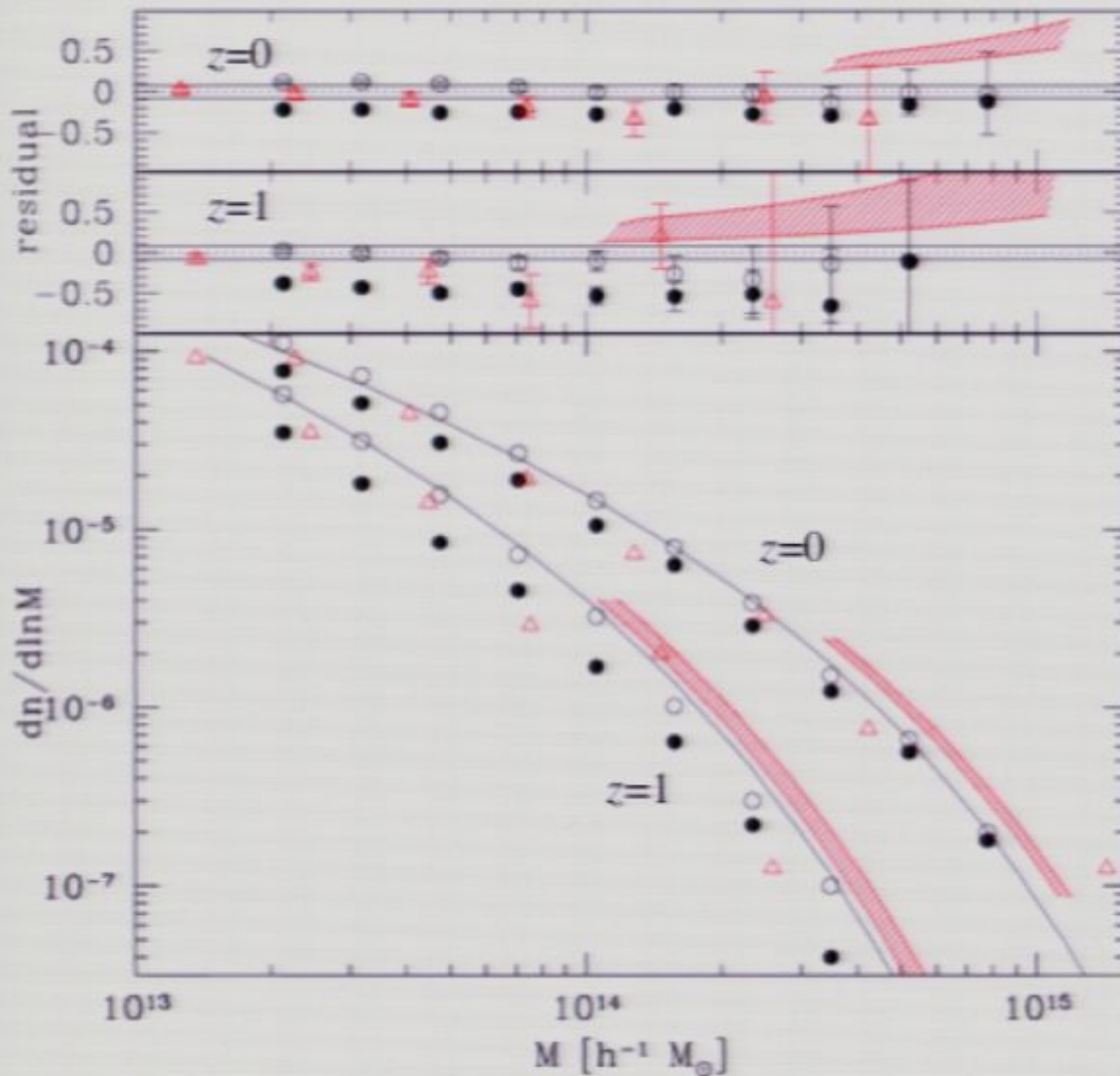
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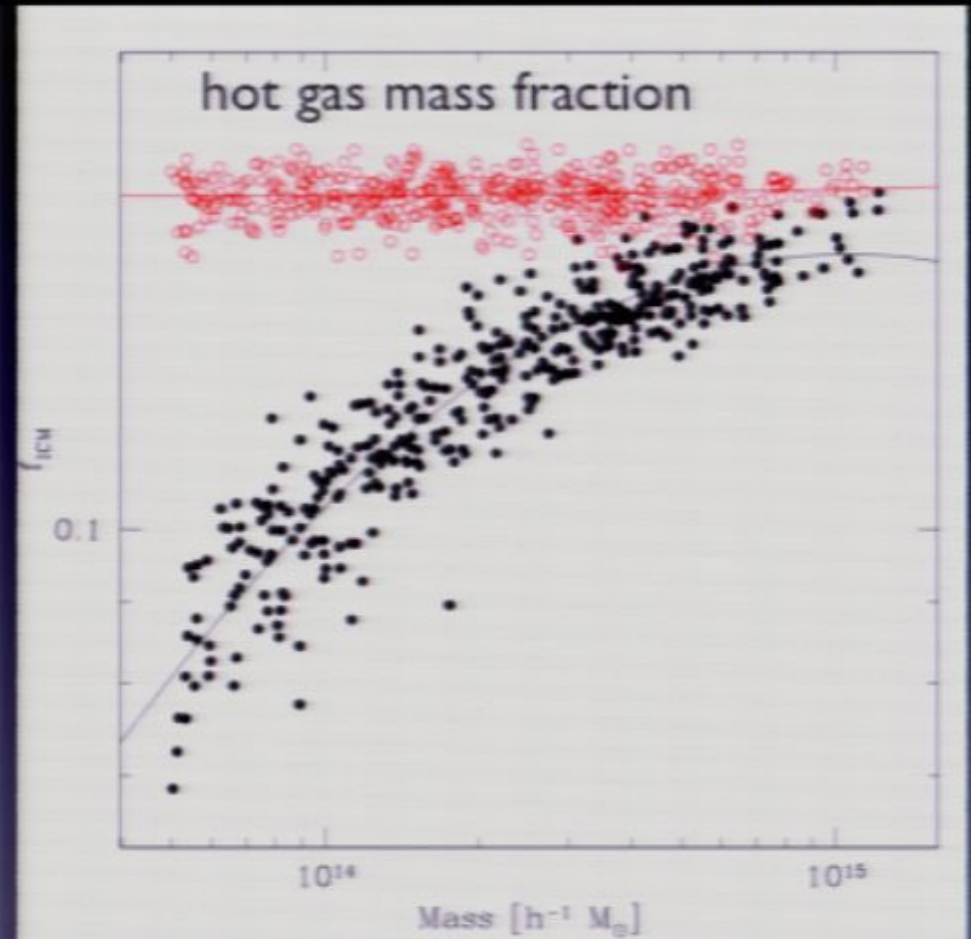
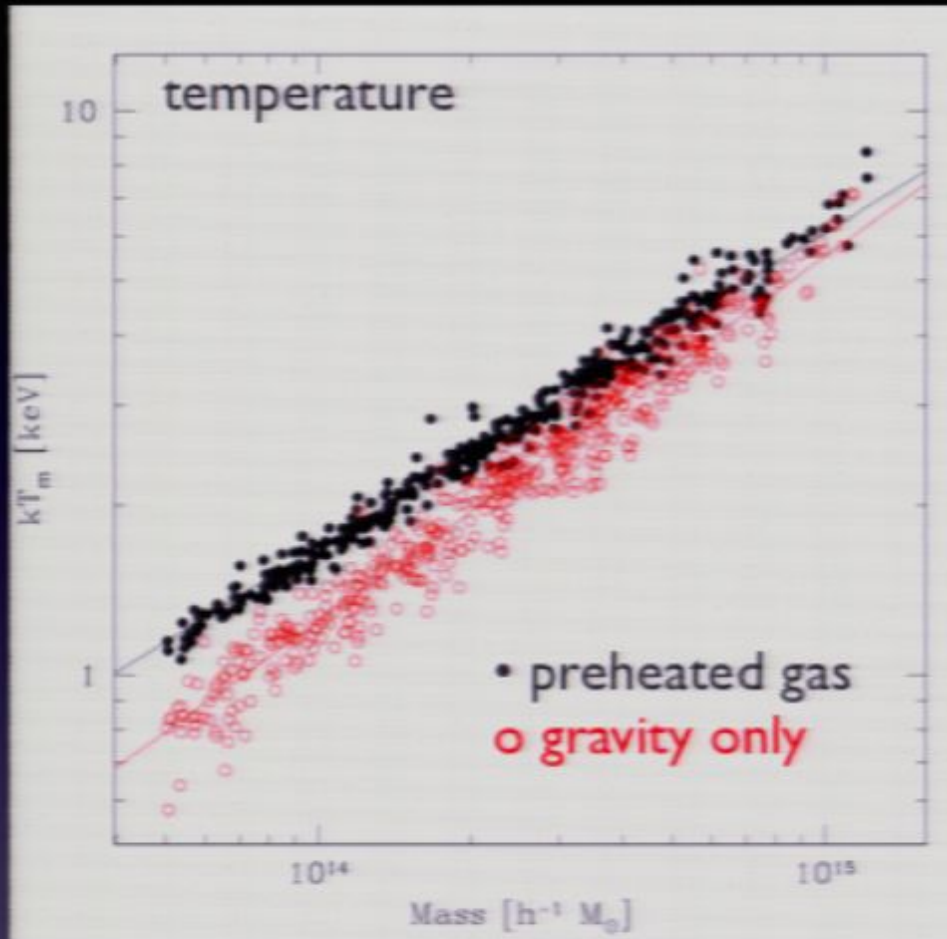
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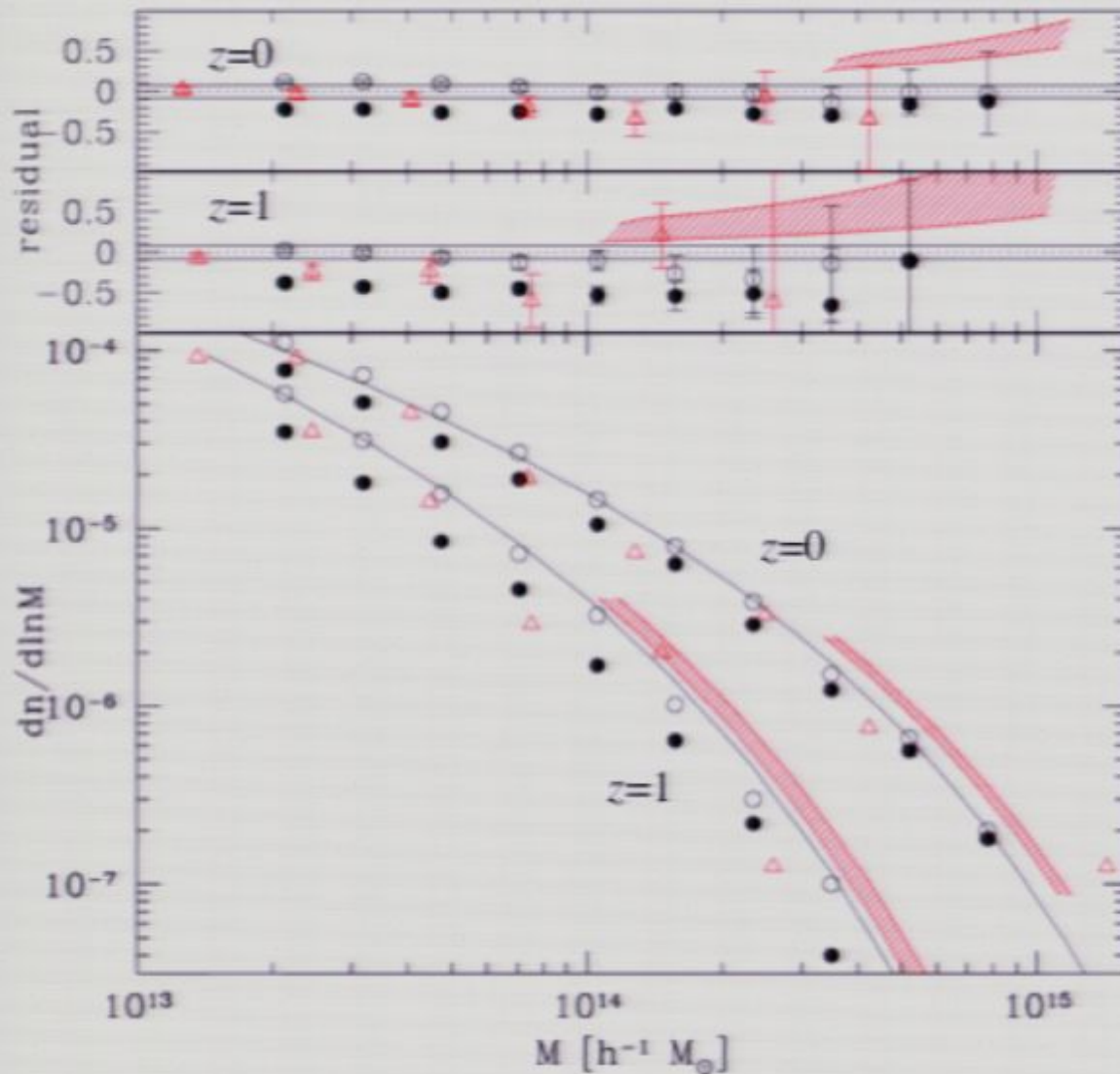
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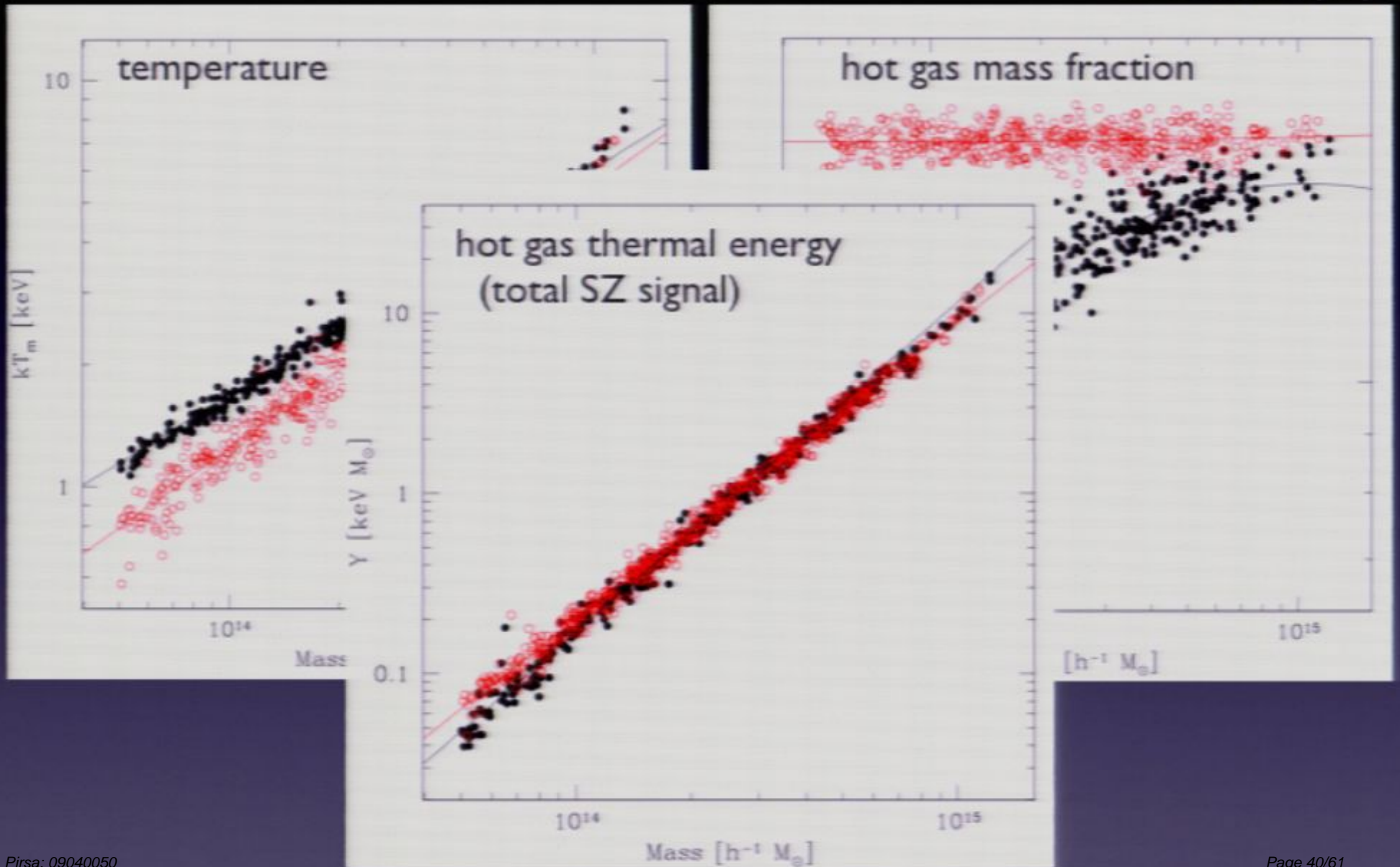
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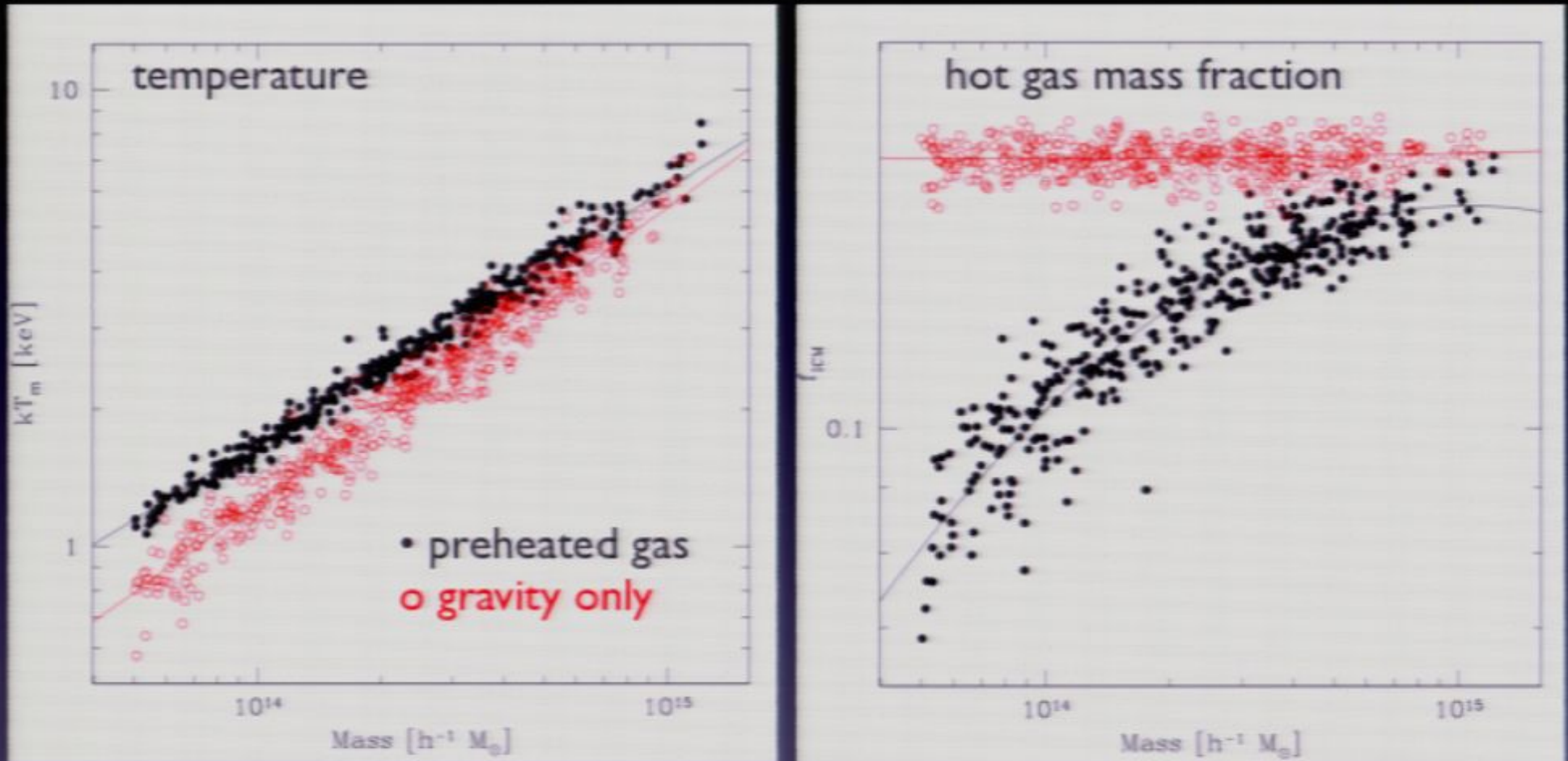
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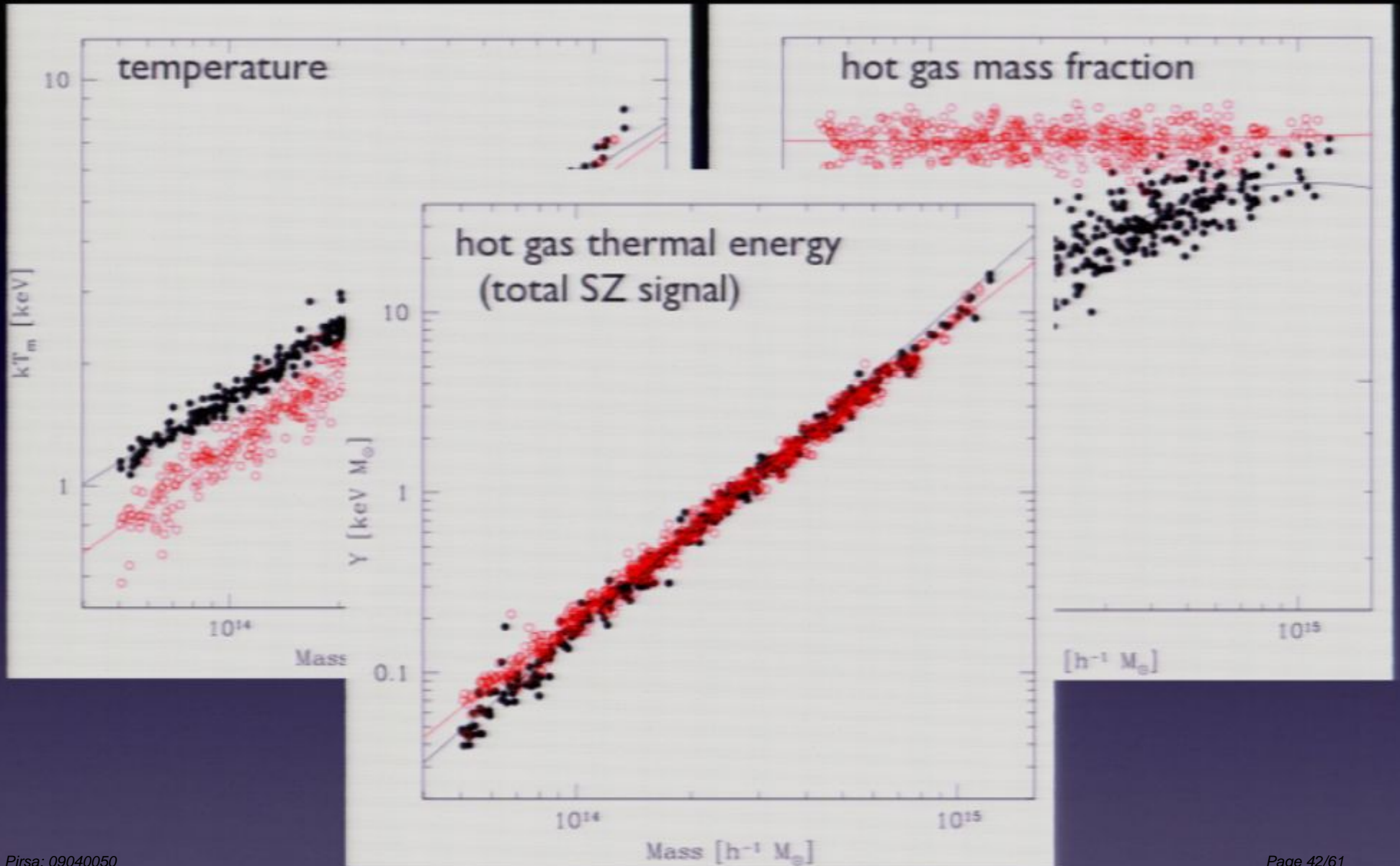
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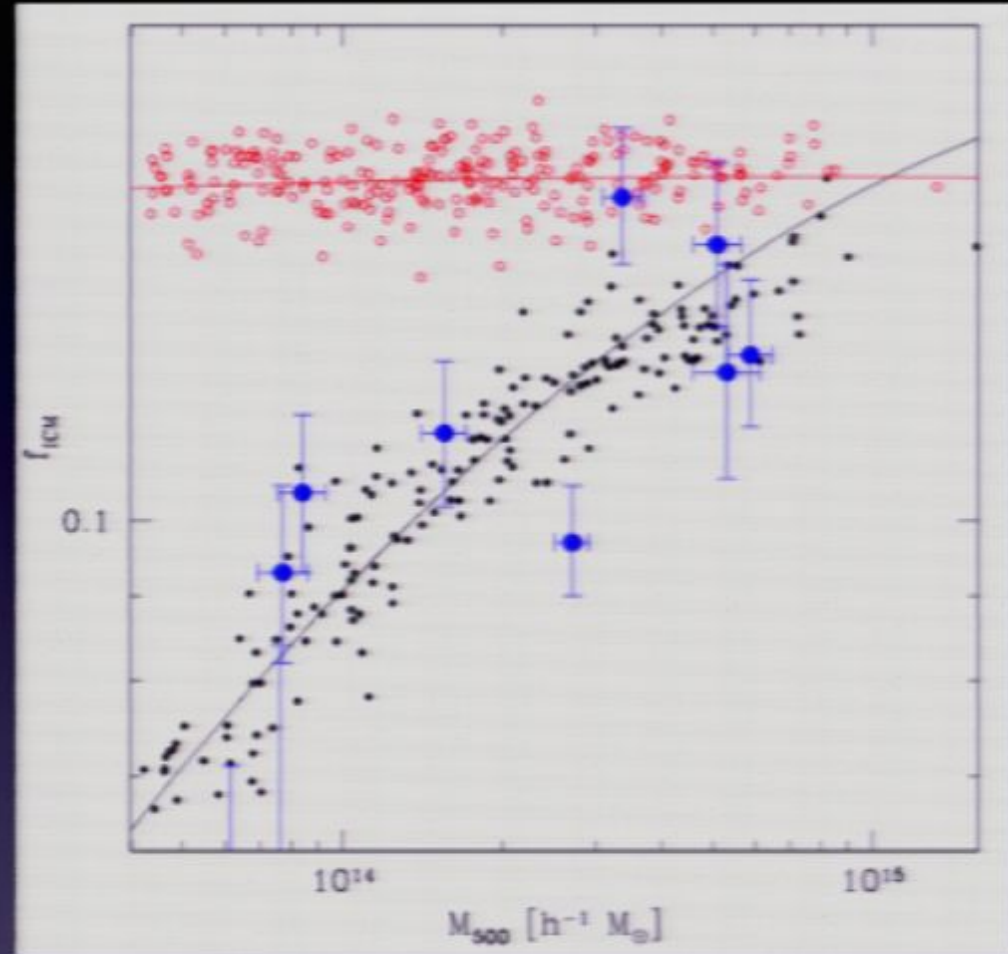
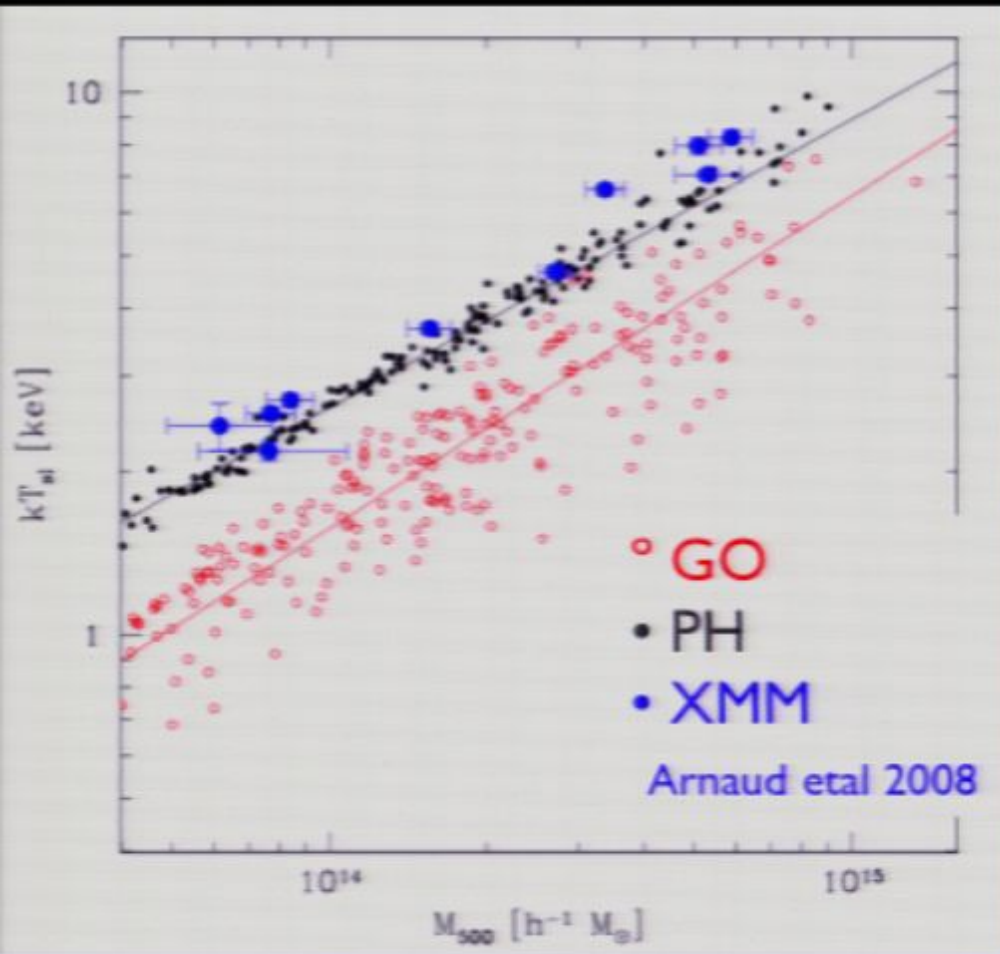


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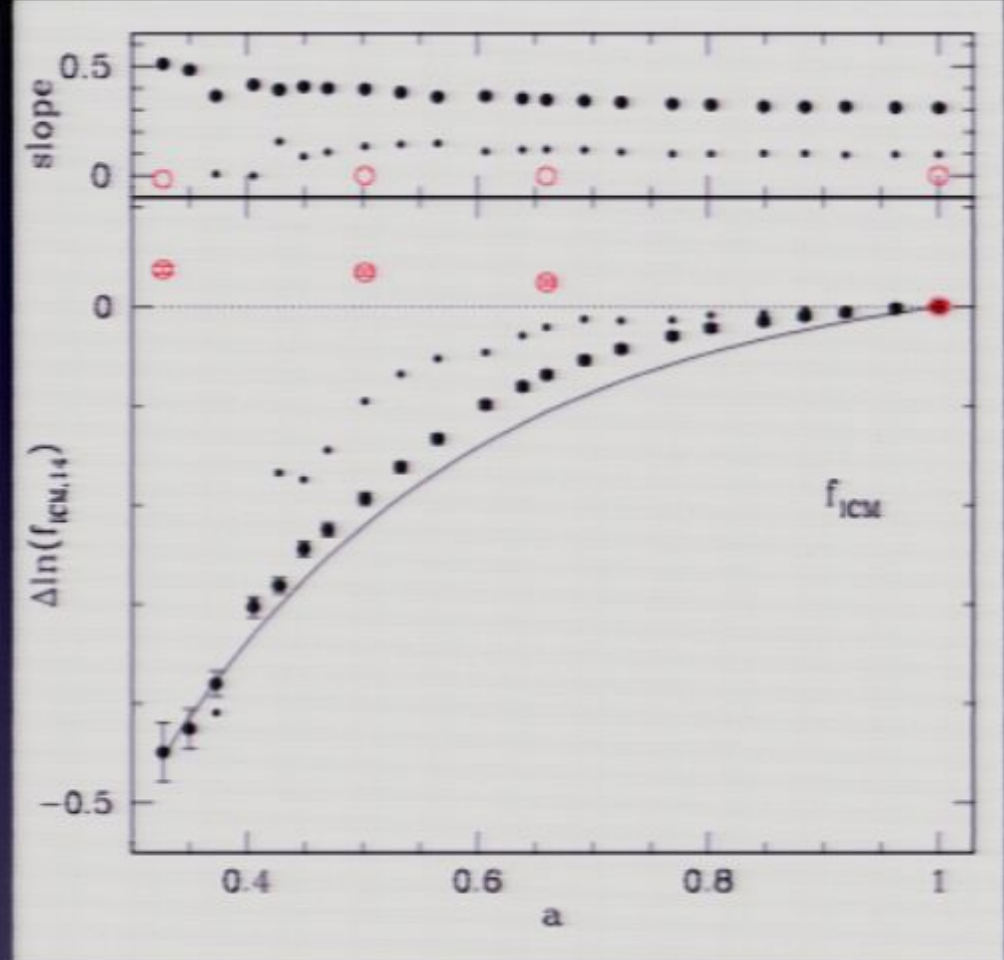
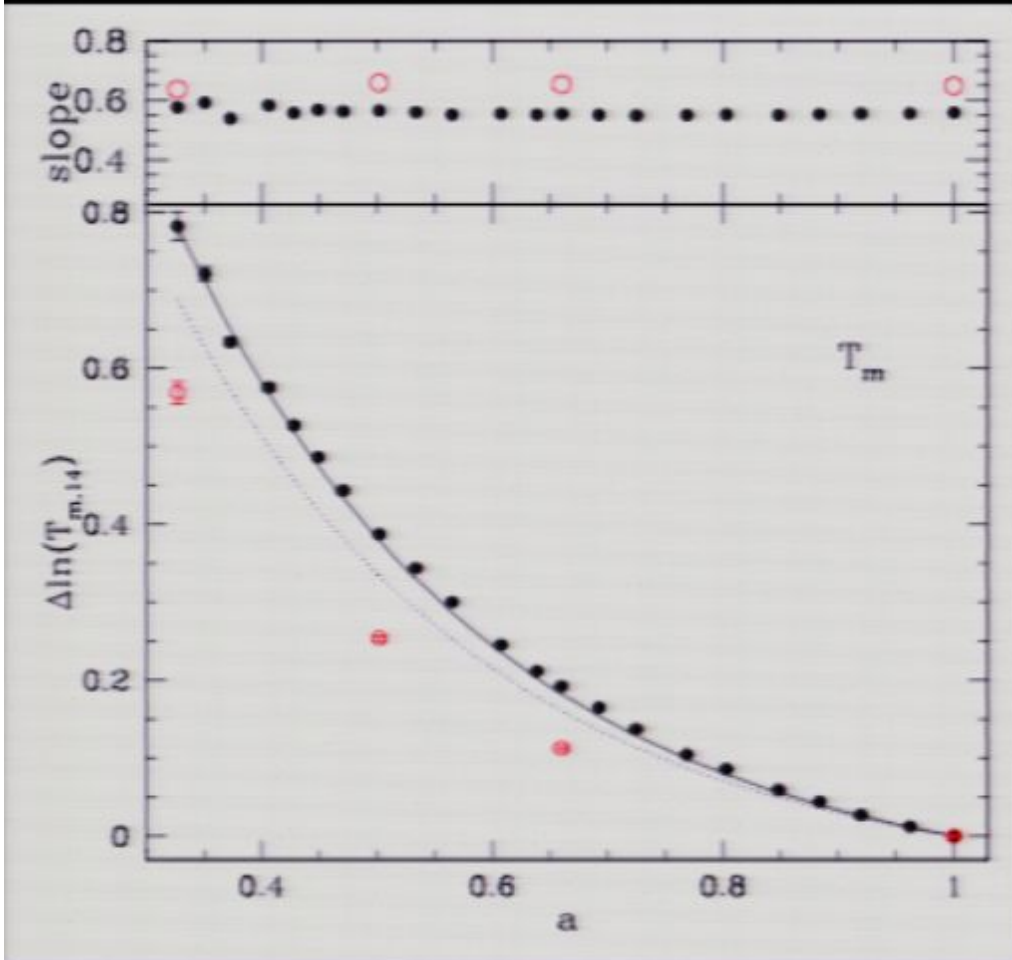
Stanek et al, in prep



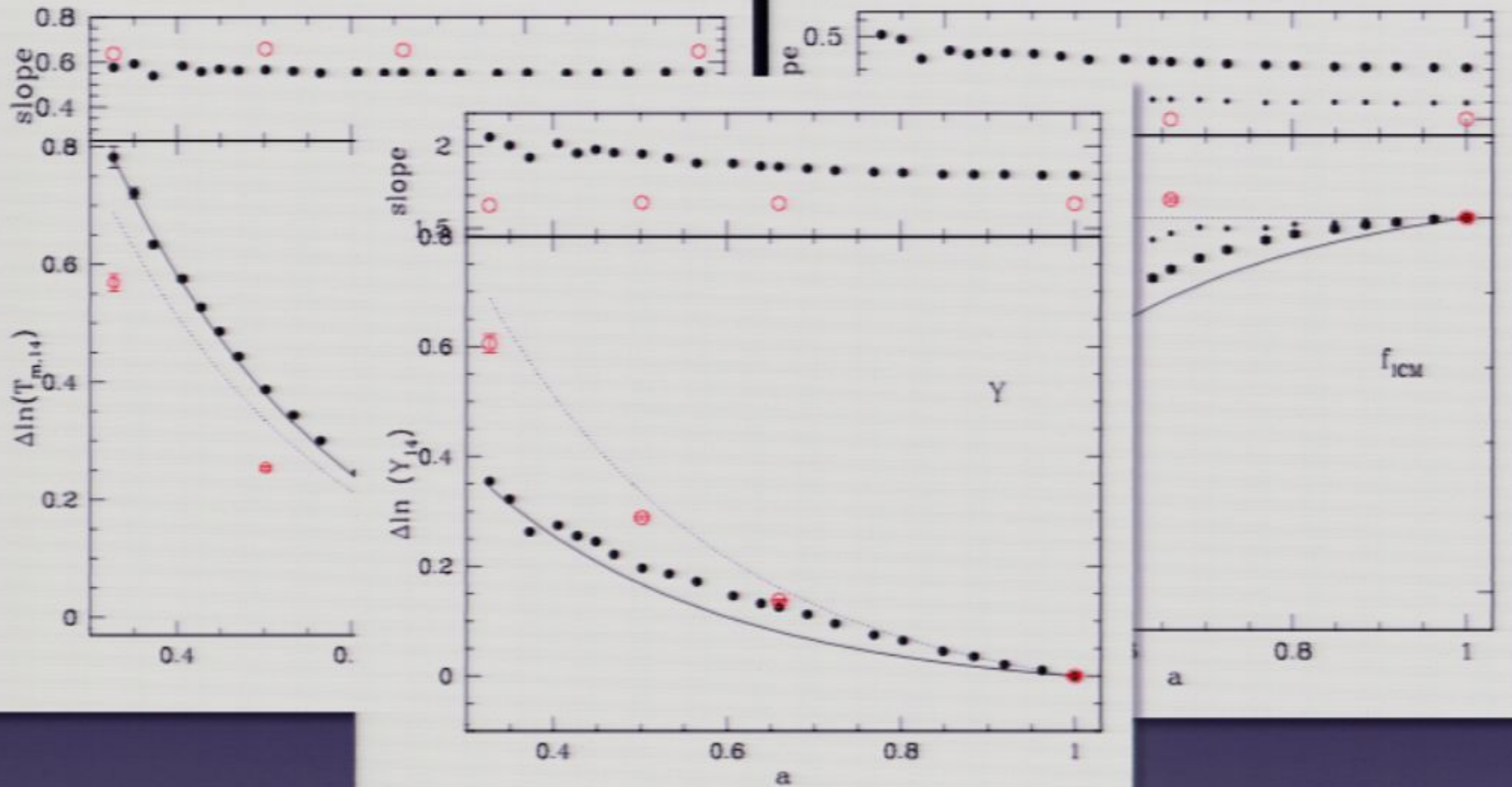
MGS comparison to observations



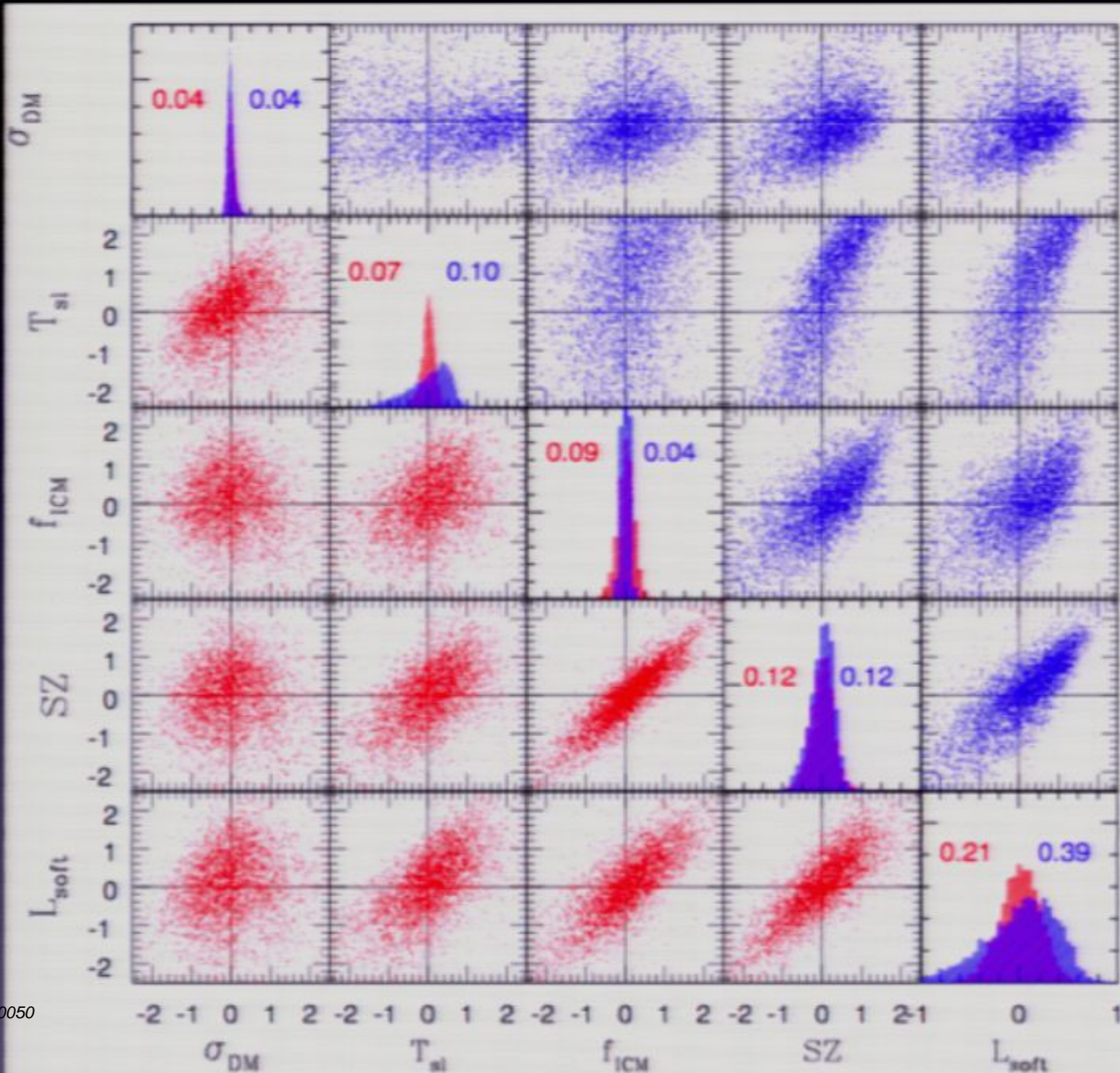
MGS evolution of scaling relation slope and intercept



MGS evolution of scaling relation slope and intercept



covariance of multiple signals at fixed halo mass



preheating
gravity only

effective mass scatter using pairs of signals

$$\Sigma^{-2} = (1 - r^2)^{-1} (\sigma_{\mu 1}^{-2} + \sigma_{\mu 2}^{-2} - 2r\sigma_{\mu 1}^{-1}\sigma_{\mu 2}^{-1}).$$

TABLE 6
MASS SCATTER AT REDSHIFT ZERO ^a

Cluster Property	σ_{DM}	T_{sl}	f_{ICM}	Y	L	PH	GO
σ_{DM}	—	0.12	0.12	0.075	0.12	0.12	0.12
T_{sl}	0.10	—	0.35	0.050	0.26	0.12	0.38
f_{ICM}	0.11	0.12	—	0.054	0.21	0.28	0.12
Y	0.062	0.069	0.041	—	0.056	0.069	0.075
L	0.090	0.10	0.093	0.066	—	0.11	0.26

^a The redshift zero mass scatter for each pair of signals, with the results from the PH simulation in the lower, left-hand half, and the results from the GO simulation in the upper, right-hand half, as in Figure 11 The mass scatter for the individual signal is listed on the right-hand side of the table.

- ★ preheating offers good match to observed core-excised X-ray emission
- ★ total mass is affected at $\sim 10\%$ level \Rightarrow number density at fixed mass shifts by $\sim 20\text{-}30\%$; need more large volume simulations with gas physics
- ★ preheating causes scale-dependent deviations from self-similar evolution in Y , f_{ICM} and T (few % at $10^{14.5} M_{\text{sun}}/h$)
- ★ covariance in signal pairs generally positive and stable in z
- ★ pairing of f_{ICM} and Y may offer sensitive mass selection (4%)

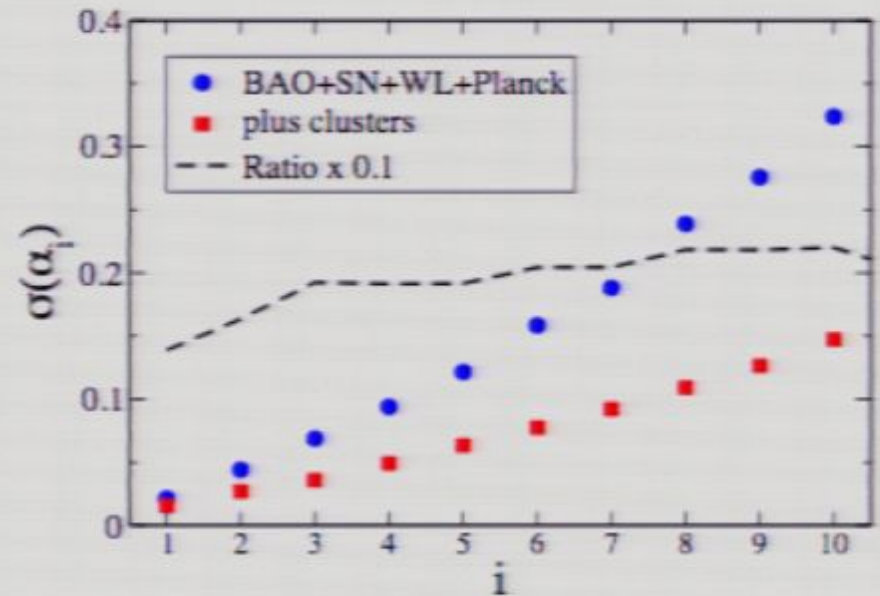
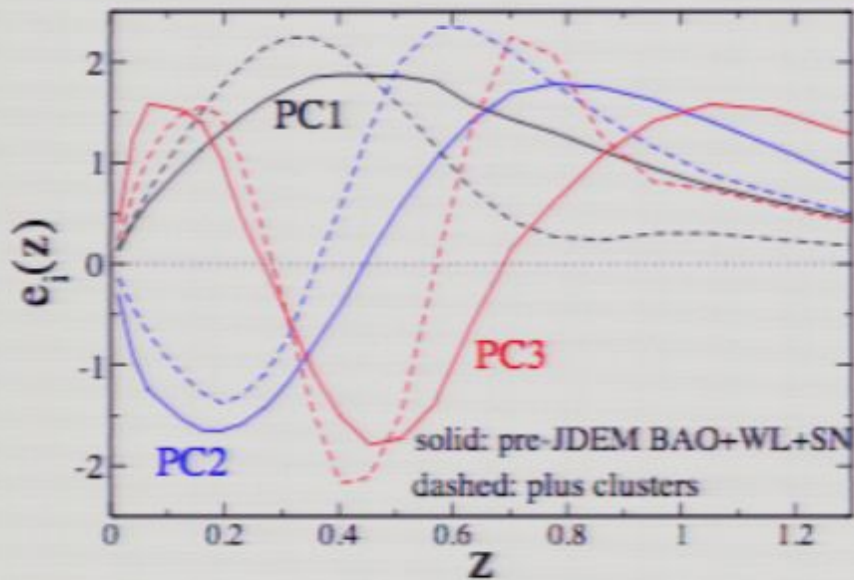
Fisher forecasts

Fisher analysis of value of cluster counts and clustering

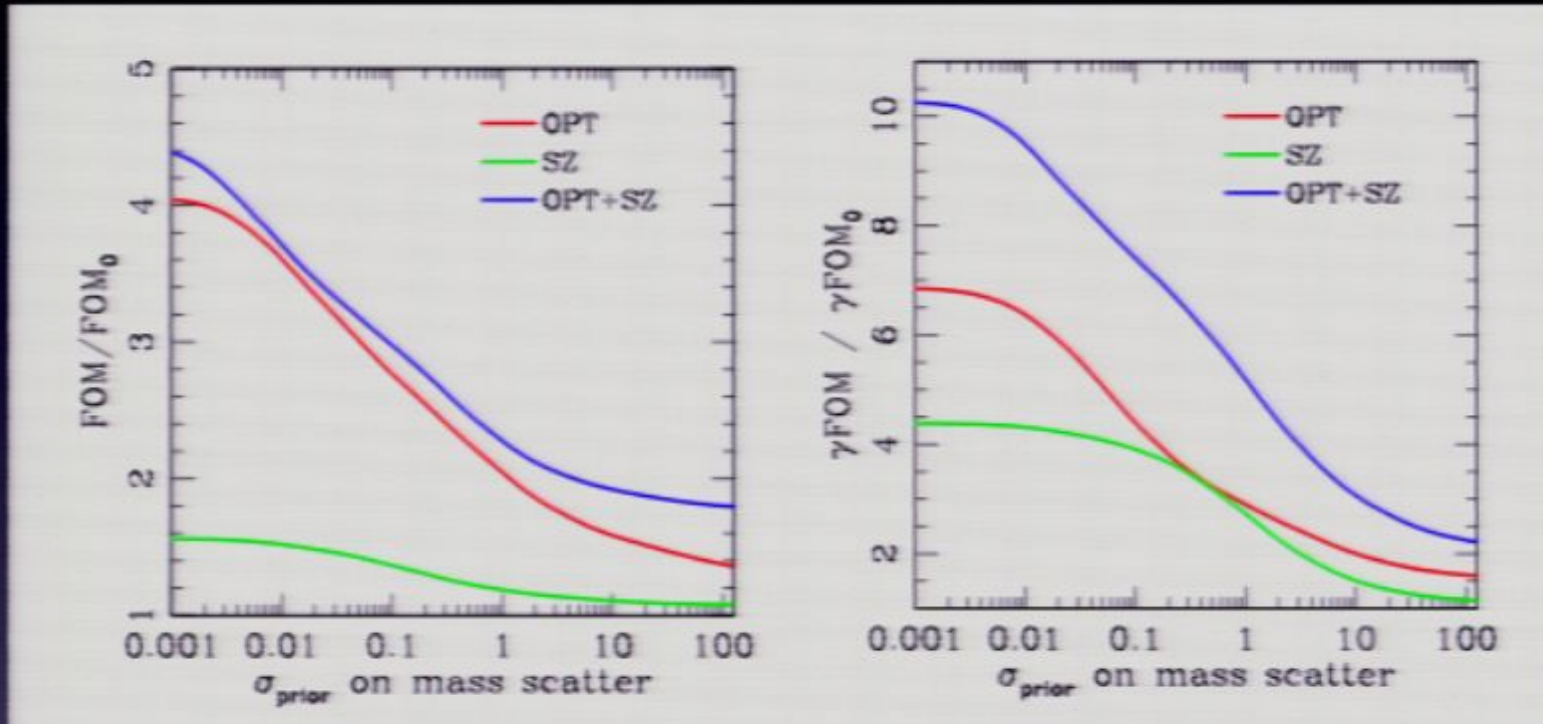
Cunha, Huterer
Frieman, 0904.1589

$$\ln M^{\text{bias}}(M_{\text{obs}}, z) = \ln M_0^{\text{bias}} + a_1 \ln(1+z) + a_2 (\ln M_{\text{obs}} - \ln M_{\text{pivot}}) \quad (3)$$

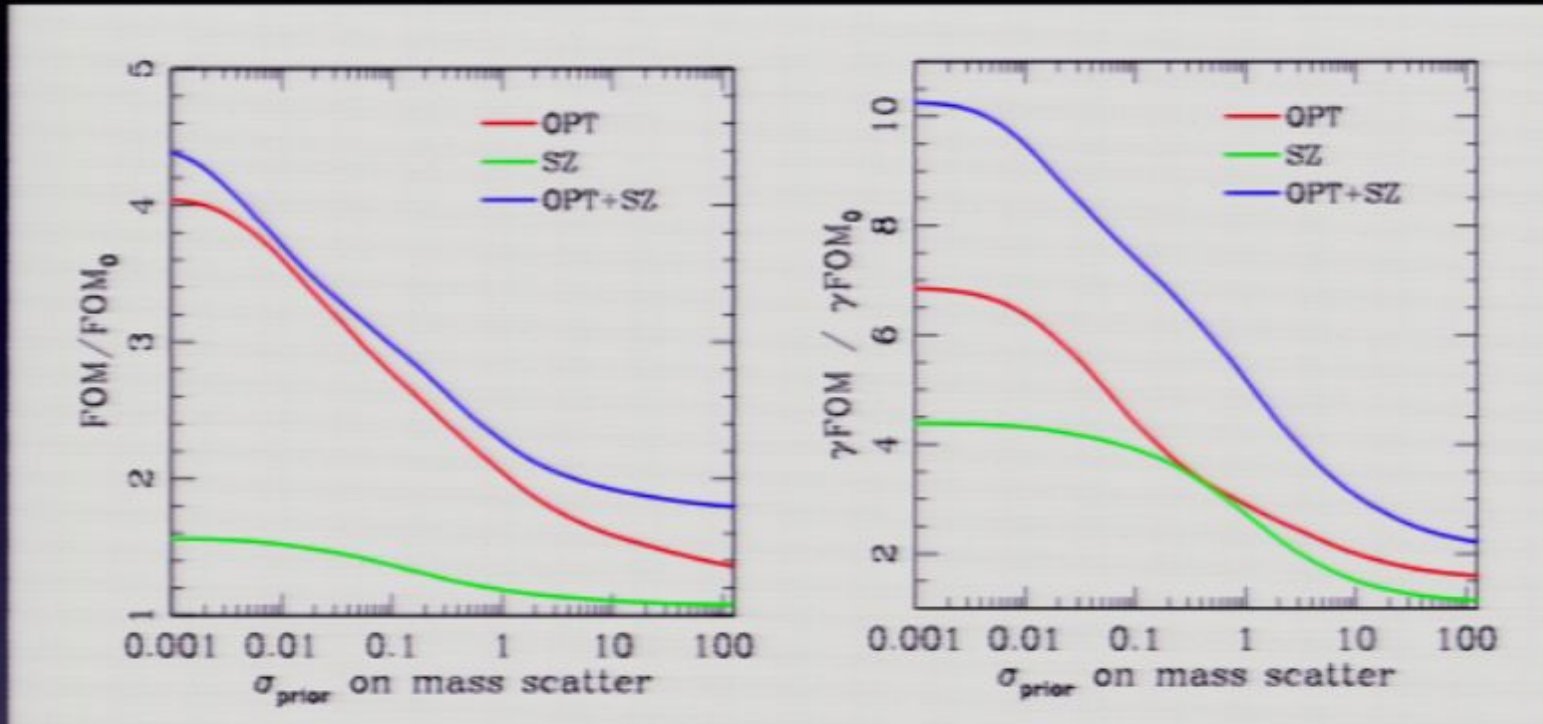
$$\sigma_{\ln M}^2(M_{\text{obs}}, z) = \sigma_0^2 + \sum_{i=1}^3 b_i z^i + \sum_{i=1}^3 c_i (\ln M_{\text{obs}} - \ln M_{\text{pivot}})^i \quad (4)$$



additional improvements from prior in Mobs proxy



additional improvements from prior in Mobs proxy



$$p(M_{\text{obs}}|M) = \frac{1}{\sqrt{2\pi\sigma_{\ln M}^2}} \exp[-x^2(M_{\text{obs}})], \quad (11)$$

where

$$x(M_{\text{obs}}) \equiv \frac{\ln M_{\text{obs}} - \ln M - \ln M_{\text{bias}}(M, z)}{\sqrt{2\sigma_{\ln M}^2(M, z)}}. \quad (12)$$

We model systematic error in the mass proxy by introducing a redshift-dependent bias and variance

$$\ln M_{\text{bias}}(z) = B_0 + B_1(1+z), \quad (13)$$

$$\sigma_{\ln M}^2(z) = \sigma_0^2 + \sum_{i=1}^3 s_i z^i, \quad (14)$$

We write the space density of halos as

$$\frac{dn}{dM} = f(\sigma) \frac{\bar{\rho}_m}{M} \frac{d \ln \sigma^{-1}}{dM} \quad (15)$$

and adopt the Tinker parameterization of $f(\sigma)$ [?]

$$f(\sigma) = A \left[\left(\frac{\sigma}{b} \right)^{-a} + 1 \right] e^{-c/\sigma^2}. \quad (16)$$

Following [?], we allow the first three parameters of $f(\sigma)$ to vary with redshift, so that

$$A(z) = A_0(1+z)^{A_z} \quad (17)$$

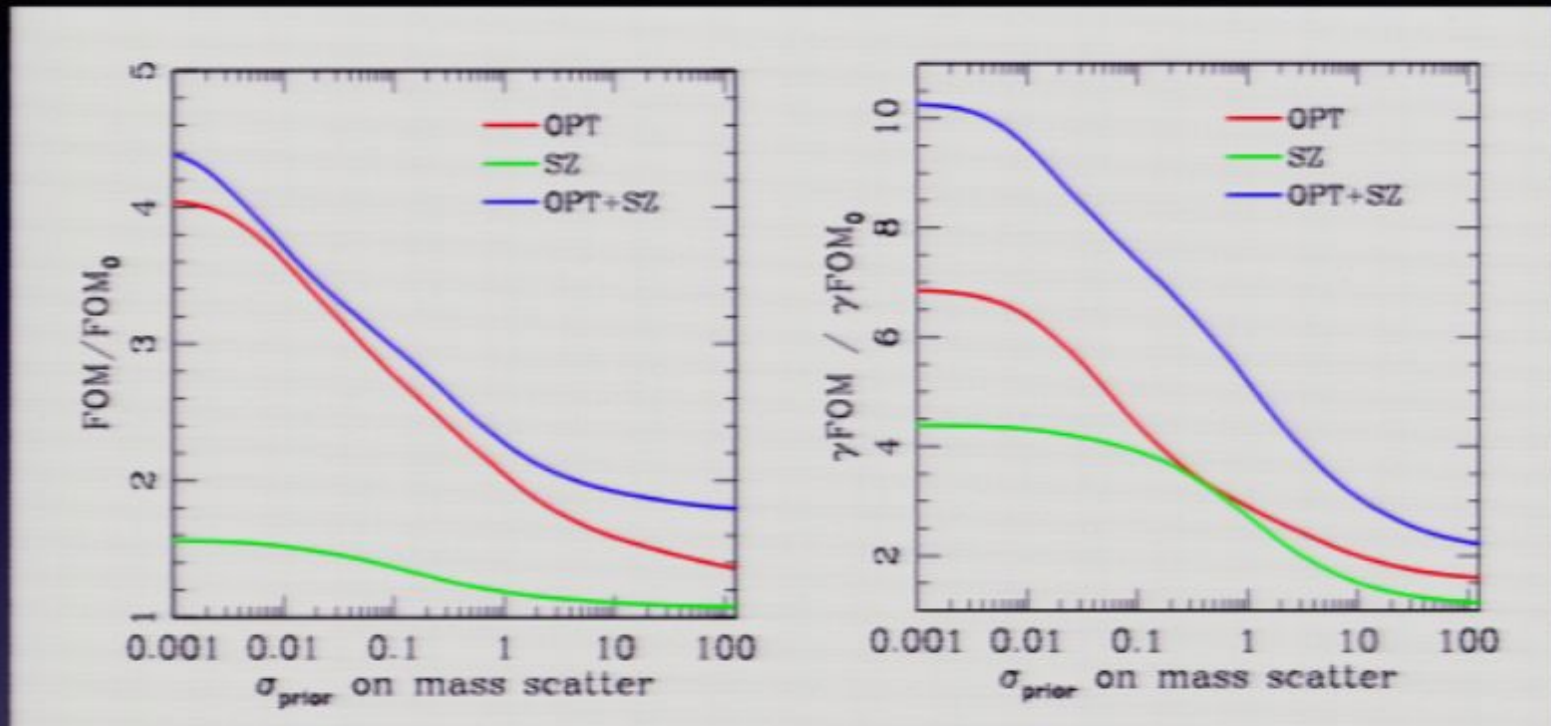
$$a(z) = a_0(1+z)^{a_z} \quad (18)$$

$$b(z) = b_0(1+z)^{-b_z} \quad (19)$$

TABLE I: Fiducial constraints on cosmological parameters for perfectly known nuisance parameters

Survey	$M_{\text{th}} [h^{-1} M_{\odot}]$	N_{tot}	Sharp priors			No priors	
			σ_0	$\sigma(\Omega_{\text{DE}})$	$\sigma(w)$	$\sigma(\Omega_{\text{DE}})$	$\sigma(w)$
Fid.	$10^{14.2}$	8,400	0.2	0.010	0.050	0.91	2.19
1	$10^{14.2}$	16,400	0.5	0.0083	0.039	0.82	1.81
2	$10^{13.5}$	229,200	0.2	0.0025	0.011	0.098	0.23
3	$10^{13.5}$	287,200	0.5	0.0023	0.0097	0.22	0.35

additional improvements from prior in Mobs proxy

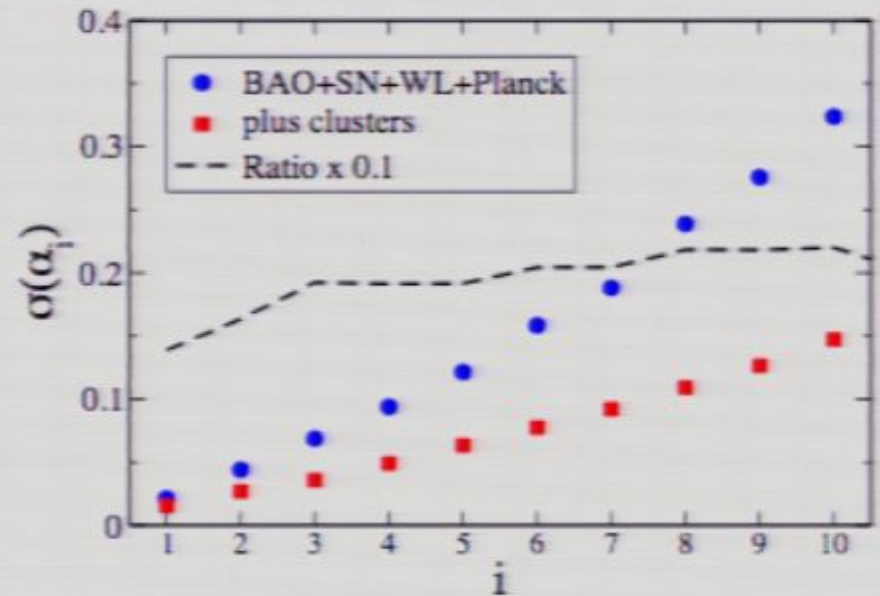
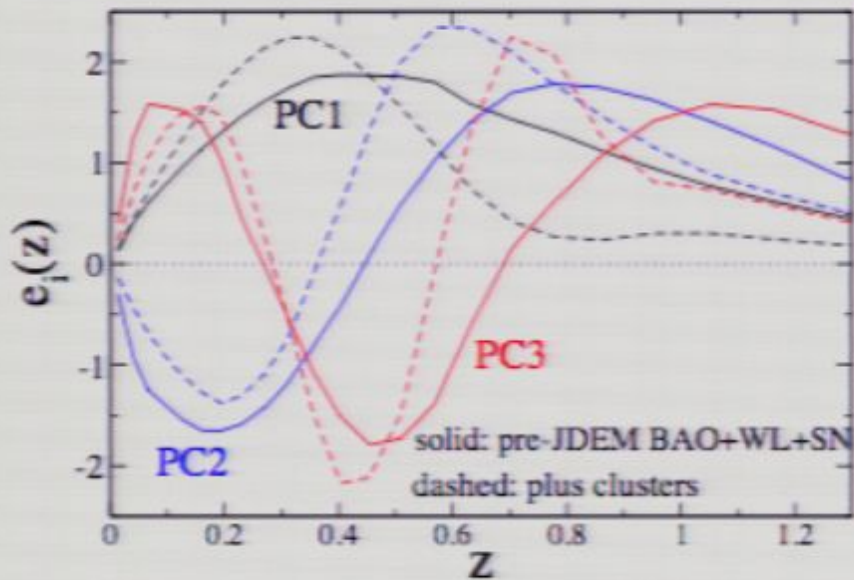


Fisher analysis of value of cluster counts and clustering

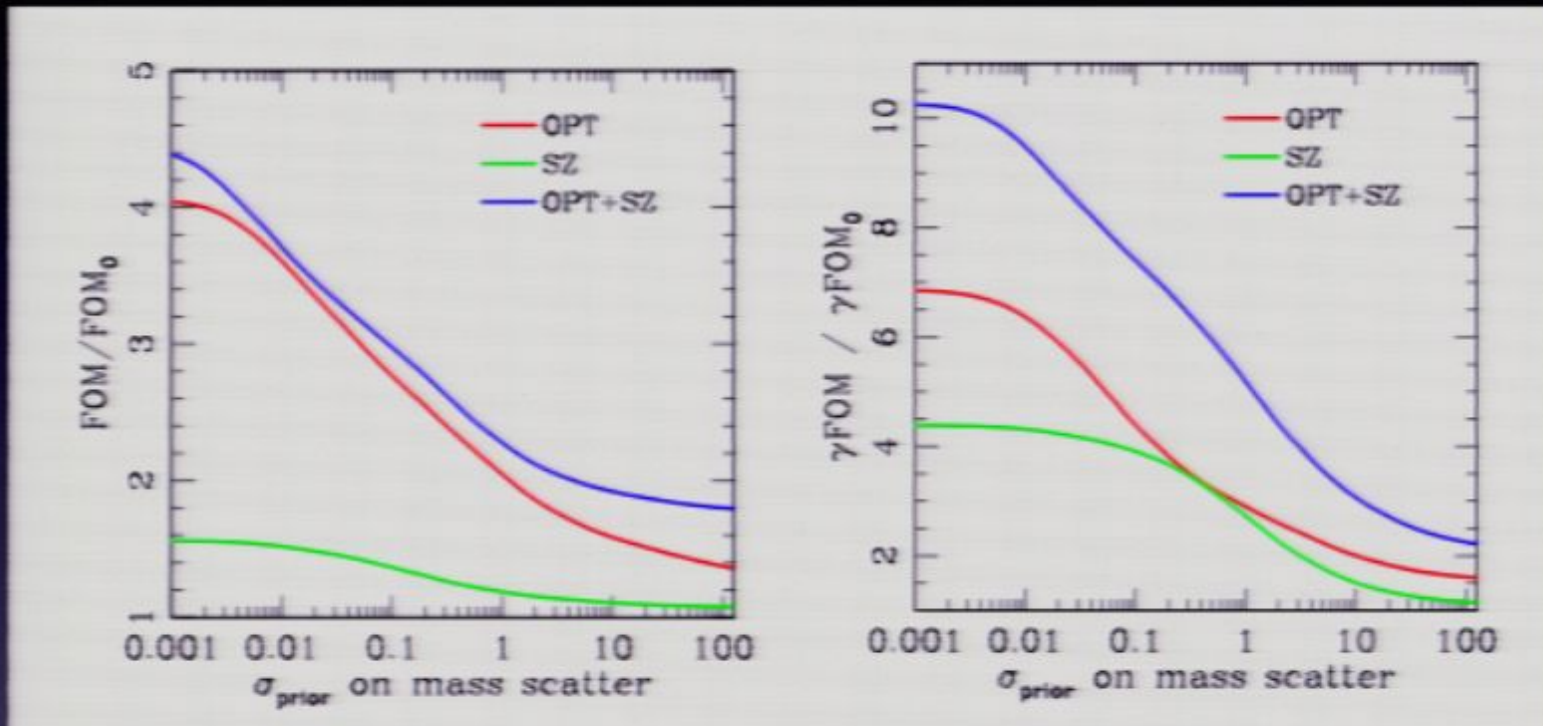
Cunha, Huterer
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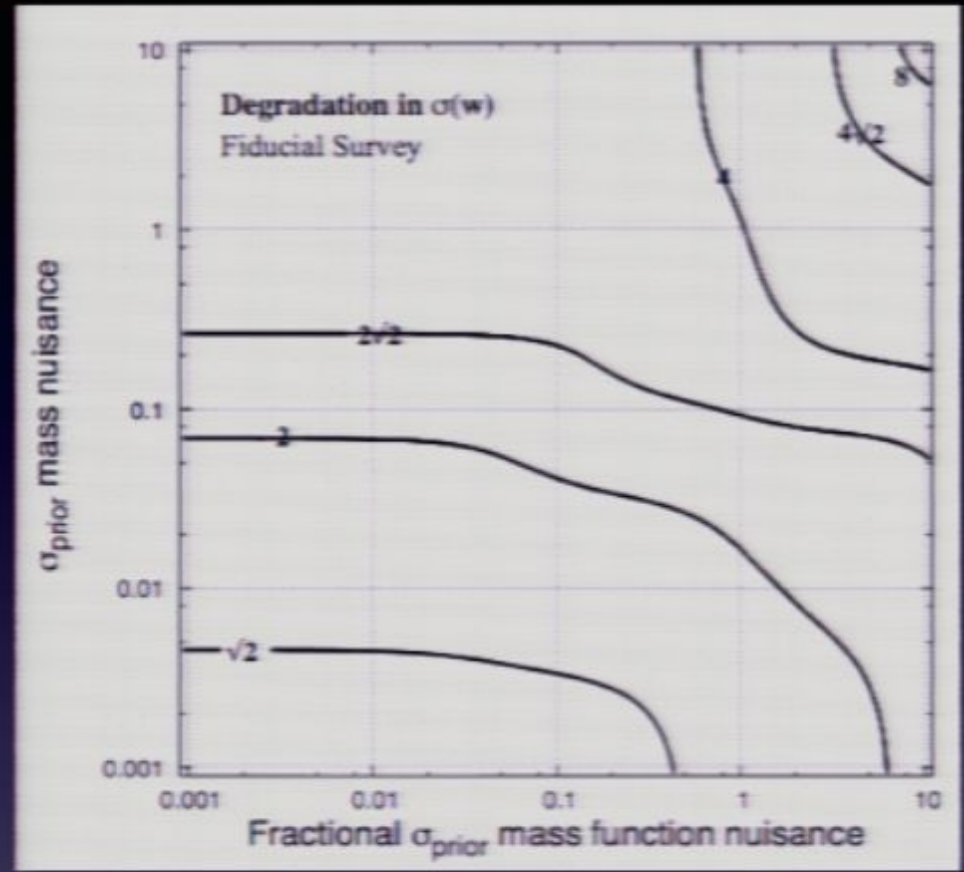
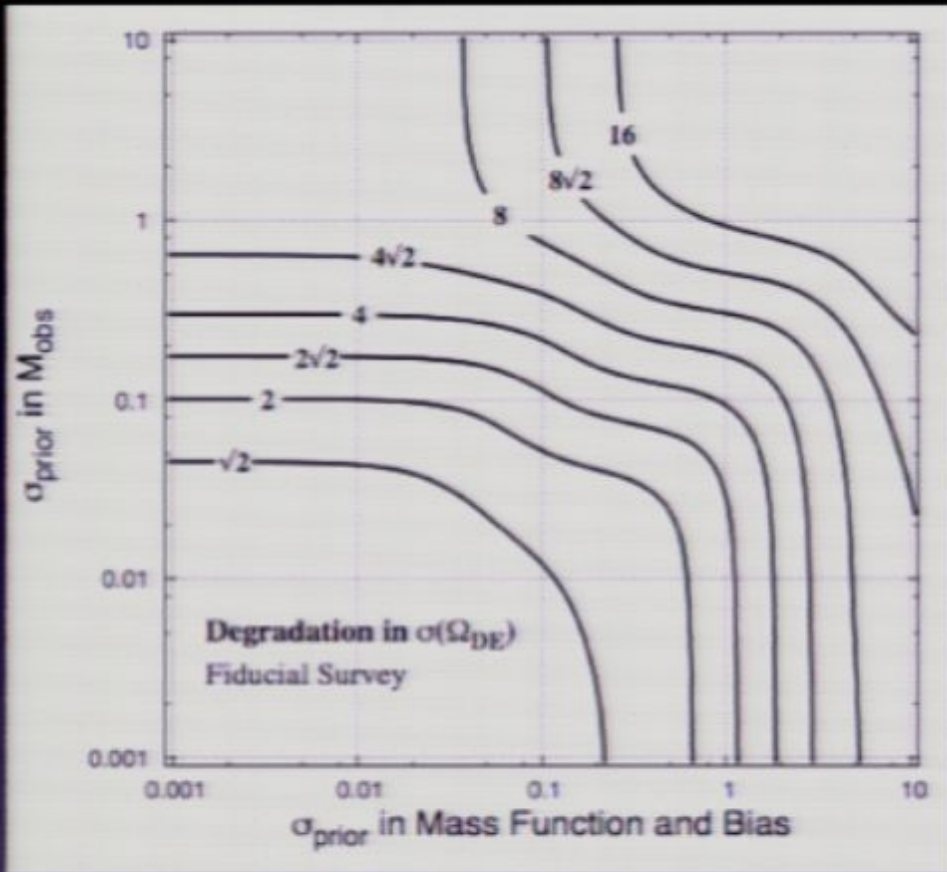
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sensitivity to Mobs and Mass Function/Bias priors



the future...

Dark Energy Survey is approaching

An NSF/DOE-funded study of dark energy using four techniques

- 1) Galaxy cluster surveys (with SPT)
- 2) Galaxy angular power spectrum
- 3) Weak lensing/cosmic shear
- 4) SN Ia distances

Two linked, multiband optical surveys

5000 deg² *g r i z* colors to ~24th mag
Repeated observations of 40 deg²

Development and schedule

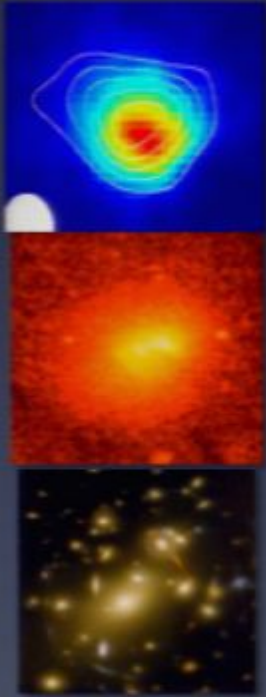
Construction: 2007-2011

New 3 deg² camera on Blanco 4m, Cerro Tololo

Data management system at NCSA

Survey Operations: 2011-2016

510 nights of telescope time over 5 years



KITP Workshop

Galaxy Clusters: The crossroads of Astrophysics and Cosmology

January 31 – April 22, 2011

Organizers:

Andrey Kravtsov

Dan Marrone

Peng Oh

Advisors:

Dick Bond

John Carlstrom

Megan Donahue

Gus Evrard

Maxim Markevitch

Mark Voit