

Title: Theory Confirmation in One World and its Failure in Many

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Abstract: I discuss how we can give a satisfactory account of theory confirmation for theories with random data, such as Copenhagen quantum theory, despite the lack of a completely satisfactory definition of probabilistic theories of nature. I also explain why neither this nor any other proposed account of scientific confirmation works for many-worlds theories

# Theory Confirmation in ~~One World~~ and its Failure in Many Worlds\*

Adrian Kent

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and  
Perimeter Institute

talk at "The Clock and the Quantum"

100028092008@PI

\* speaker was  
trying to do too  
much in one talk.  
Apologies

## Motivation for this talk:

If we could make sense of Everettian many-worlds quantum theory, and if it reproduced all the scientific successes of Copenhagen quantum theory, then we should take it seriously. So ... if we think we can't, or it doesn't, then we should try to explain why.

Quite a lot hangs on this. Mathematically elegant, universally applicable, scientifically adequate versions of quantum theory that give a realist ontology are not exactly thick on the ground. If (as I think) Everett fails, it's very plausible that the problem is a limitation of quantum theory itself, and the ultimate solution is new physics.

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In another occasion (see e.g. forthcoming Everett book) I plan to describe a slightly non-standard way of thinking about one-world probabilistic theories, which allows us to make and confirm or refute predictions without running into problems in interpreting probability.

For details of Wallace's, Greaves-Myrvold's arguments, critical responses by Price, Albert, A.K. and others, and many other papers, see forthcoming O.U.P. volume "Many Worlds?" (Saunders, Barrett, A.K., Wallace, eds), which includes extended versions of papers given at last summer's PI "Many Worlds at 50" and Oxford "Everett at 50" conferences.

The arguments I want to make here aren't specific to quantum theory\*: as Myrvold and Greaves stress, if we're going to take any many-worlds theories seriously then we need a way of testing and confirming or refuting general many-worlds theories, just as we do for one-worlds theories.

It's also much simpler to run all the arguments in toy many-worlds theories, so I will.

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We leave open for now whether importance weight is a physical postulate (bizarre though *that* seems) or something explained by the structure of the many-worlds theory.

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GR

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simulators



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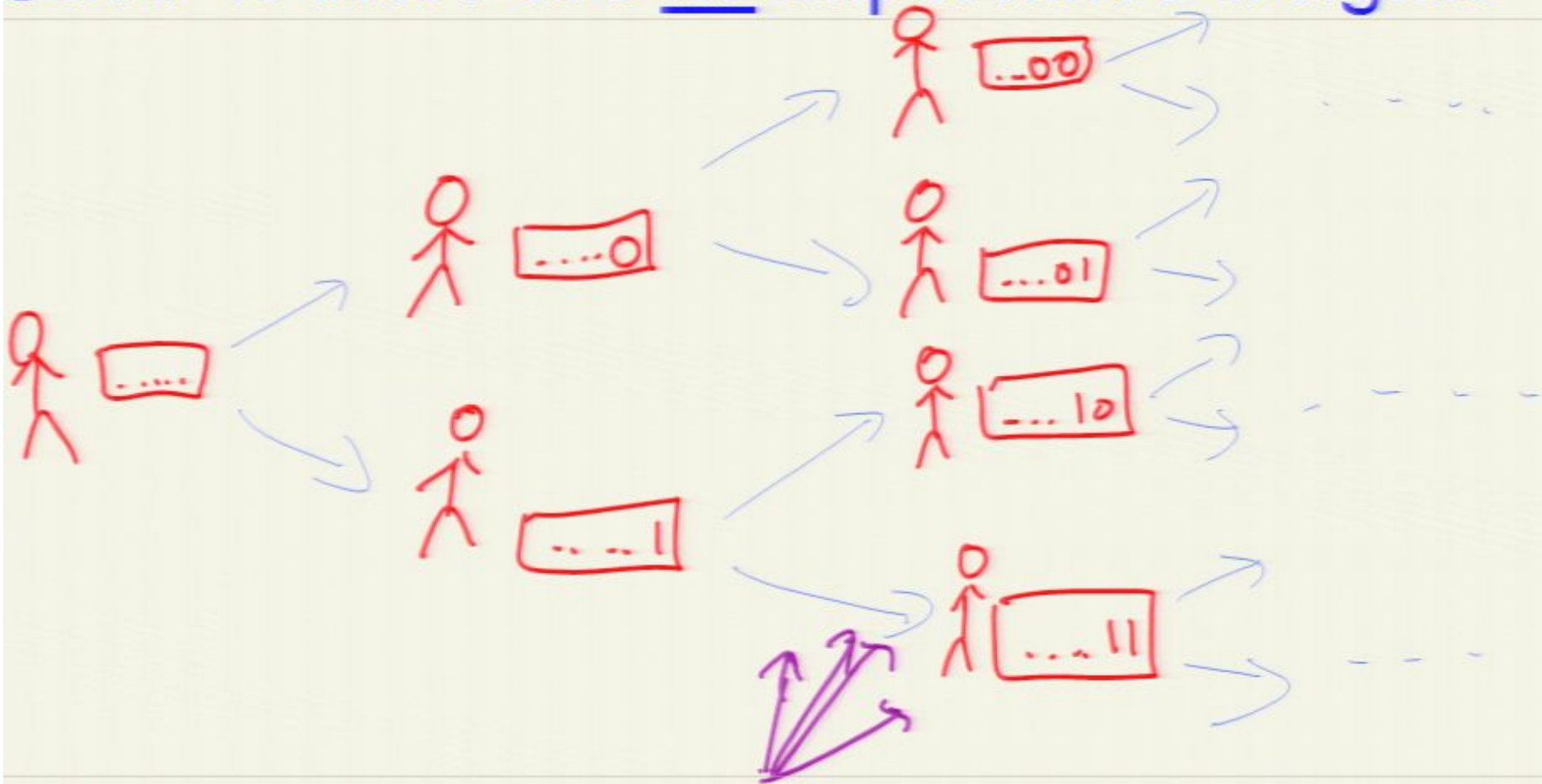
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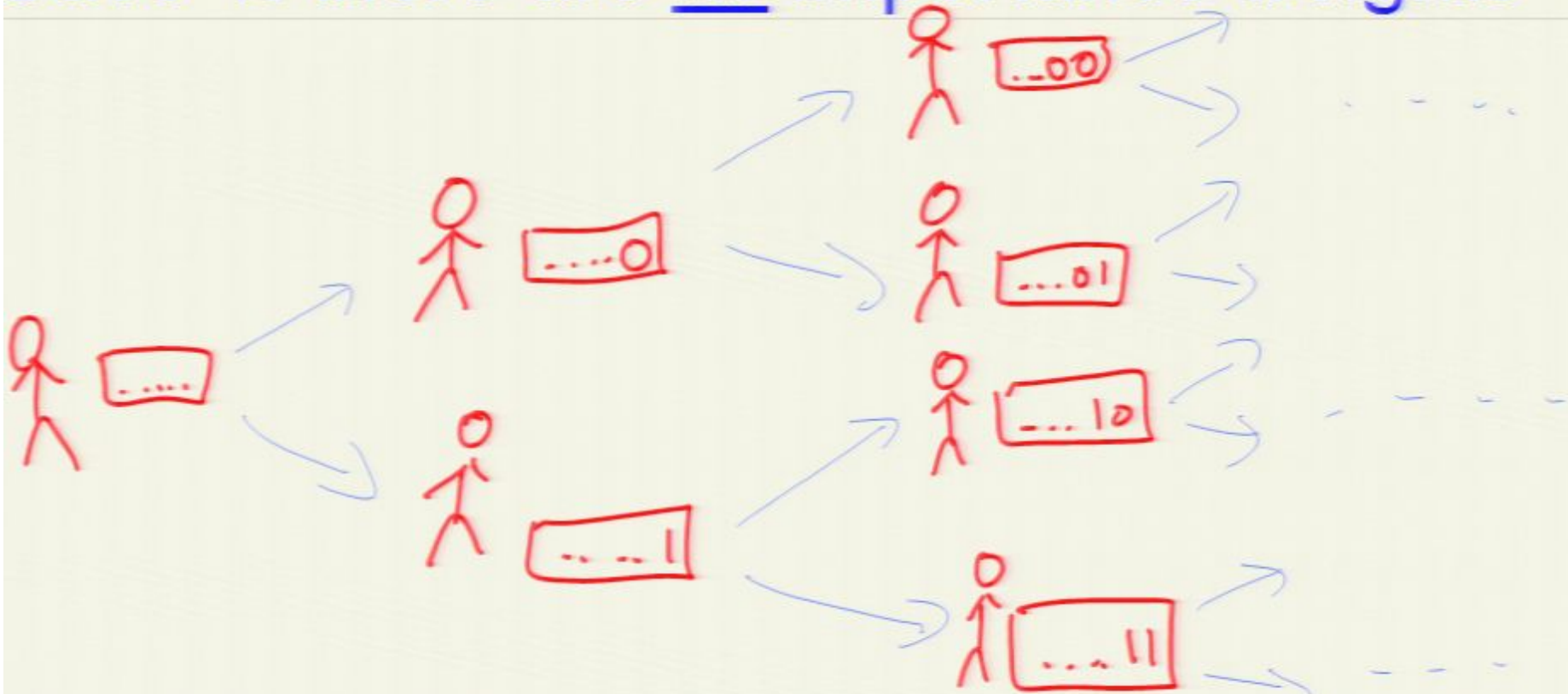
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# Case 1: there are no importance weights



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This is the many-worlds analogue of a one-world theory with a random tape for which there are no laws, neither deterministic nor probabilistic.



0 - ... 0

regards 0 branches as important, 1 as unimportant.



00101101..

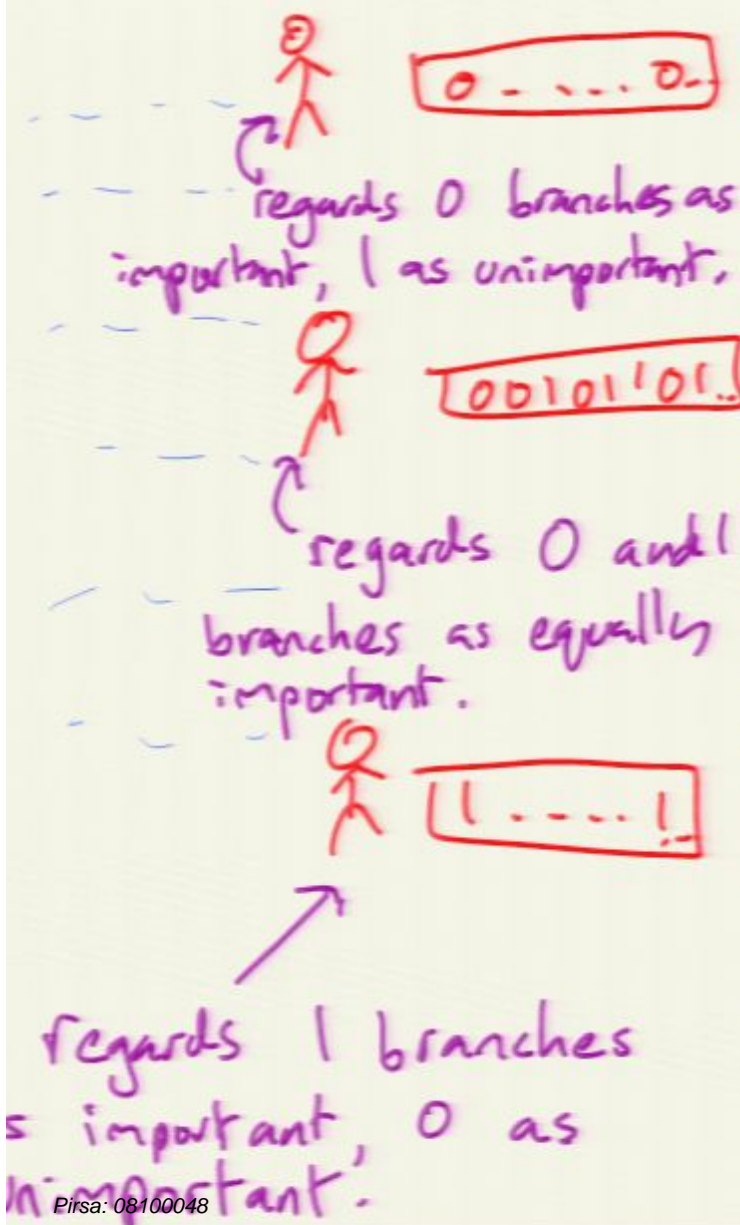
regards 0 and 1 branches as equally important.



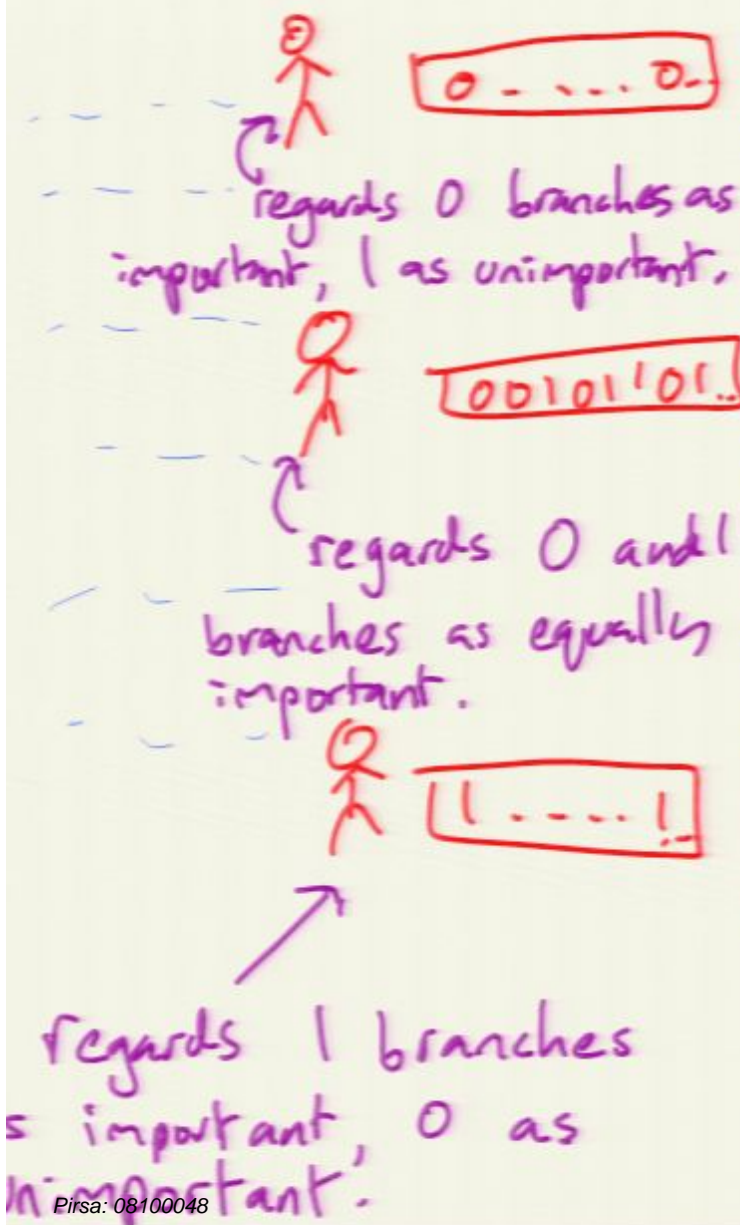
1 - ... 1

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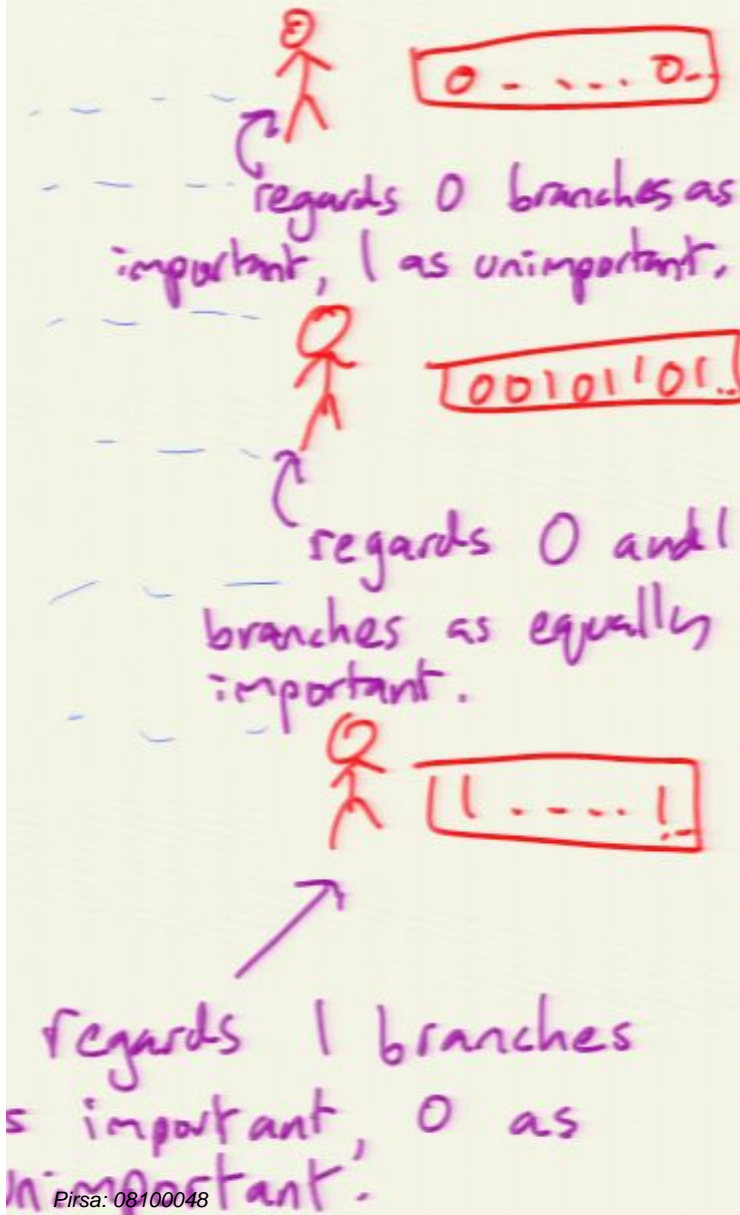
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An inhabitant who sees relative frequencies  $(p, 1-p)$  of zeroes and ones after  $N$  branches tends to the theory that the importance weights are also  $(p, 1-p)$ .



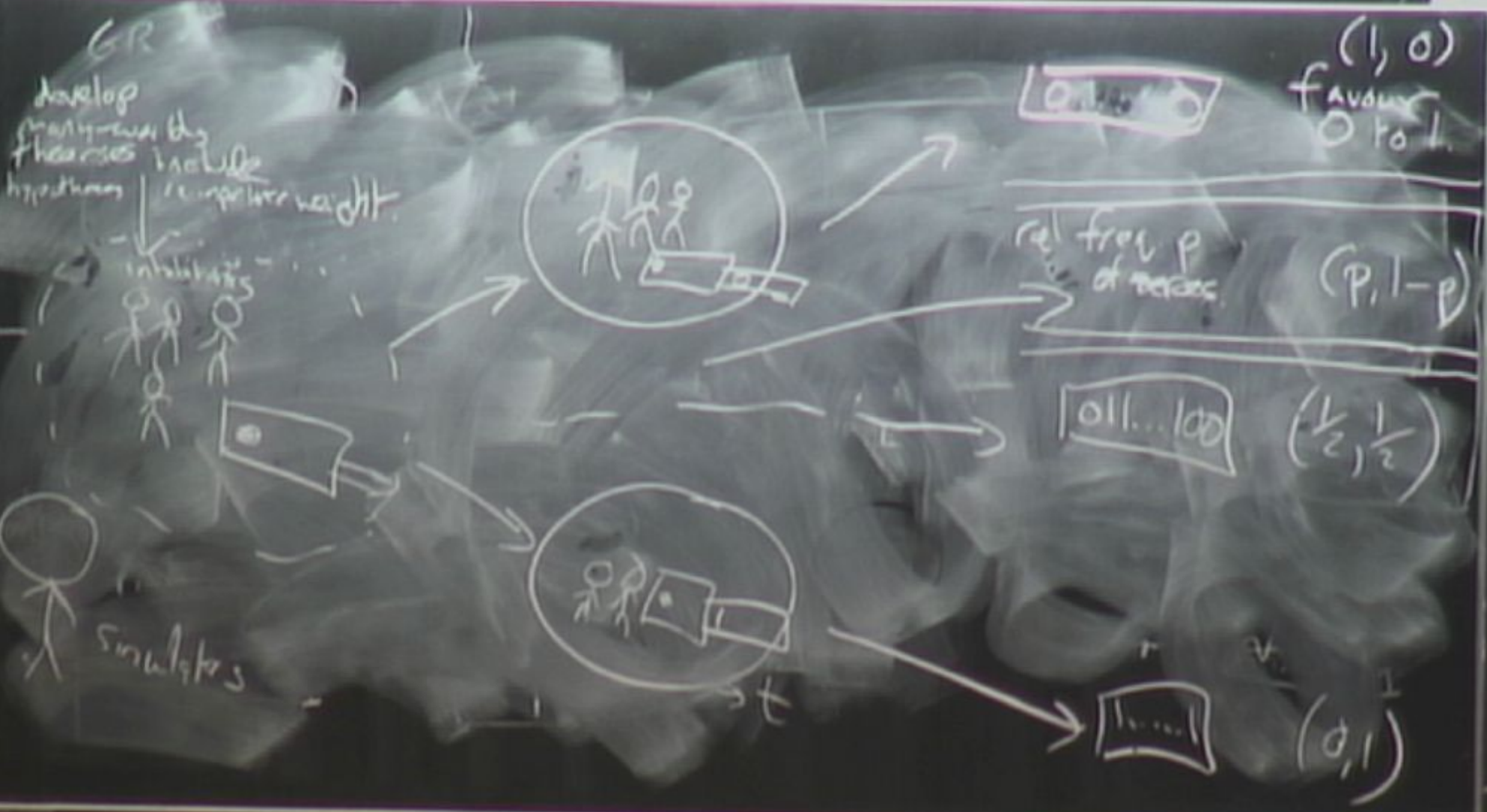
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$(p, 1-p)$  wt. believe  
reasoning:

importance of branch  
with  $r$  zeros,  $(N-r)$  ones

$$\sim p^r (1-p)^{N-r}$$



GR

develop  
phenomena by  
theories include  
hypotheses  
re: importance weight.

inhibiting



simulators



0.1...0

(1, 0)  
favour  
0 to 1.

rel freq. p  
of recess

(p, 1-p)

0.1...1.00

(1/2, 1/2)

1...1

(0, 1)

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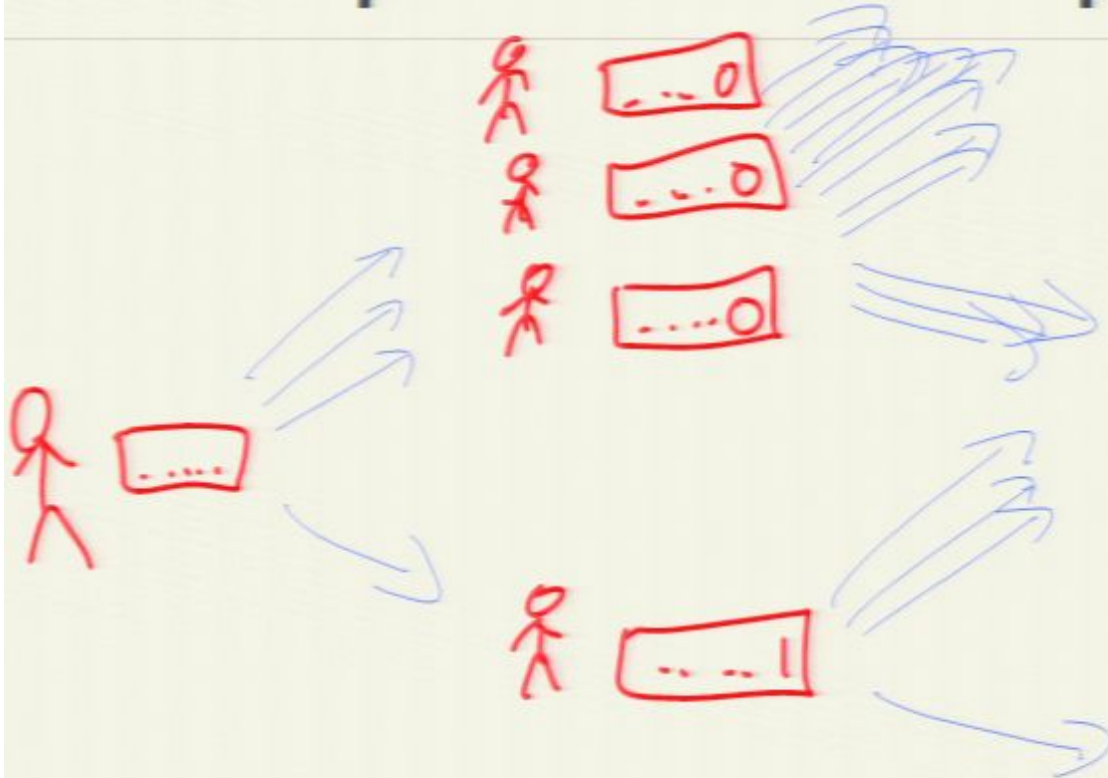


This phenomenon of spurious confirmation is already rather worrying for many-worlders. If we're bound to find a coherent theory confirmed even in a multiverse in which no such theory applies, how seriously can we take any confirmation?

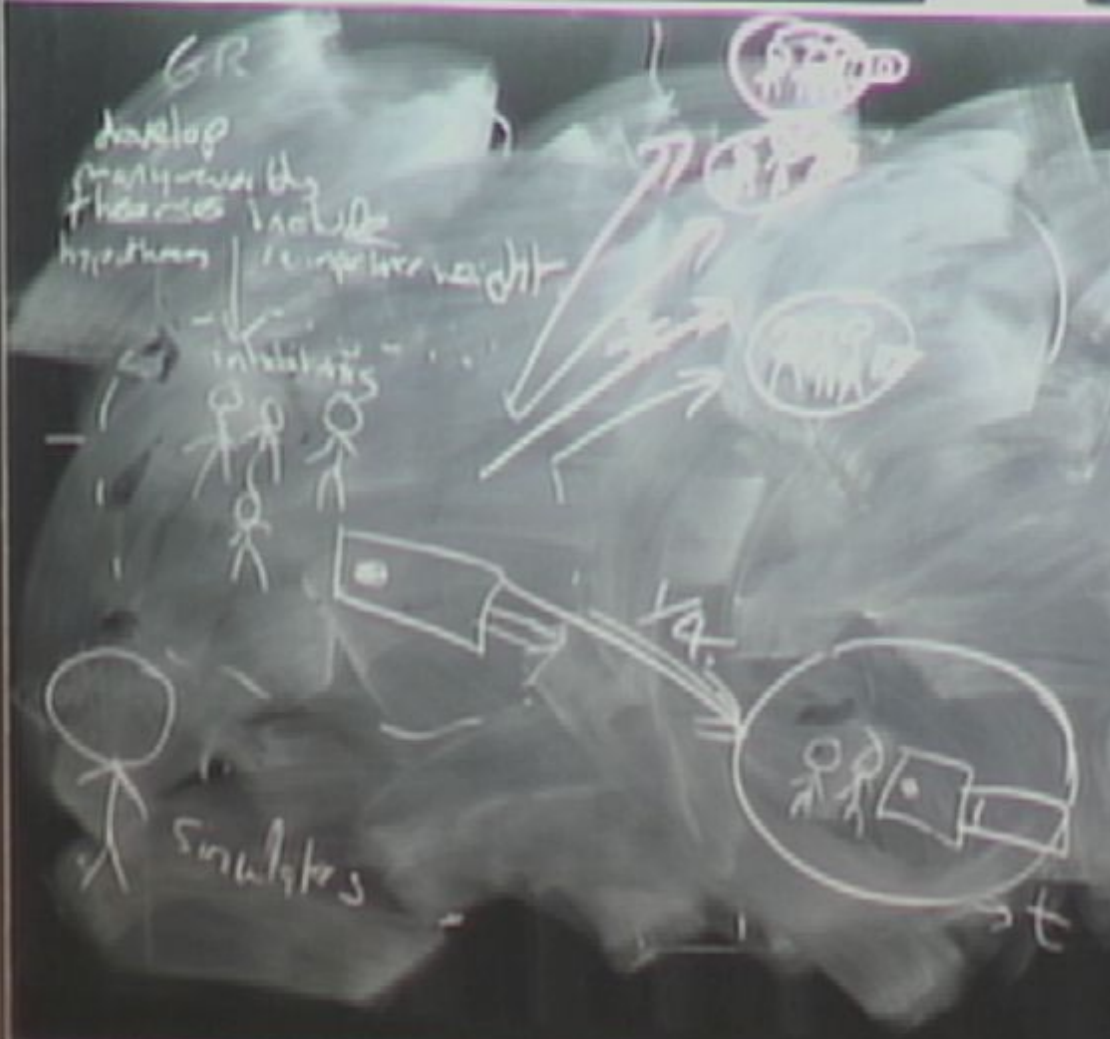
Note: of course we'll get exactly the same phenomenon even if there are importance weights attached to the branches: the only difference is that a subset of the inhabitants will end up with the "right" answer.

Let's now look into this more closely....

## Case 2: replication defines importance weights



this time, the simulators make three new identical universes with each 0 outcome, and as before just one with 1 outcome. The inhabitants don't know this -- but arguably, if they did, they should now assign importance weights  $(3/4, 1/4)$  to  $(0, 1)$ .



Again, an inhabitant who sees relative frequencies  $(p, 1-p)$  of zeroes and ones after  $N$  branches tends to the theory that the importance weights are also  $(p, 1-p)$ . In particular, inhabitants who see relative frequencies close to  $(3/4, 1/4)$  tend to the theory that the importance weights are close to  $(3/4, 1/4)$ .

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This time, if we count the simulations as equally important, these inhabitants are right -- and moreover, they dominate in the multiverse, according to the counting measure. By that measure, almost all inhabitants arrive at close to the (arguably) correct importance weights in the long run.

$\left(\frac{3}{4}, \frac{1}{4}\right)$  - theory

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$$3^r \binom{N}{r} \text{ Sims with } (r, N-r) \text{ (0,1)'s.}$$

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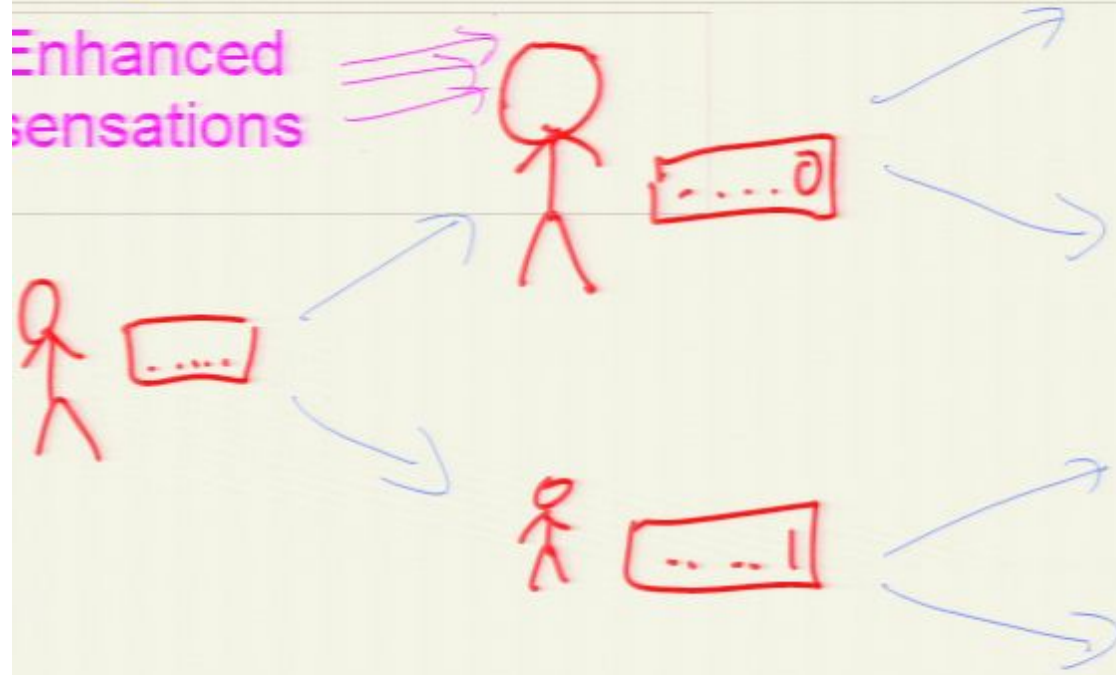
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So, by the counting measure, almost all inhabitants arrive at close to (what are arguably) the right importance weights.

This still seems to me like a stage in an argument rather than the end of one. We seem now to need to say something anthropic -- that if you're an inhabitant of the multiverse, there's a very high chance of your being among the ones who finds the right weights and thus the right theory. I don't have anything new to say here about the puzzles of anthropic reasoning -- the intuition seems clear here, but seems hard to justify rigorously.

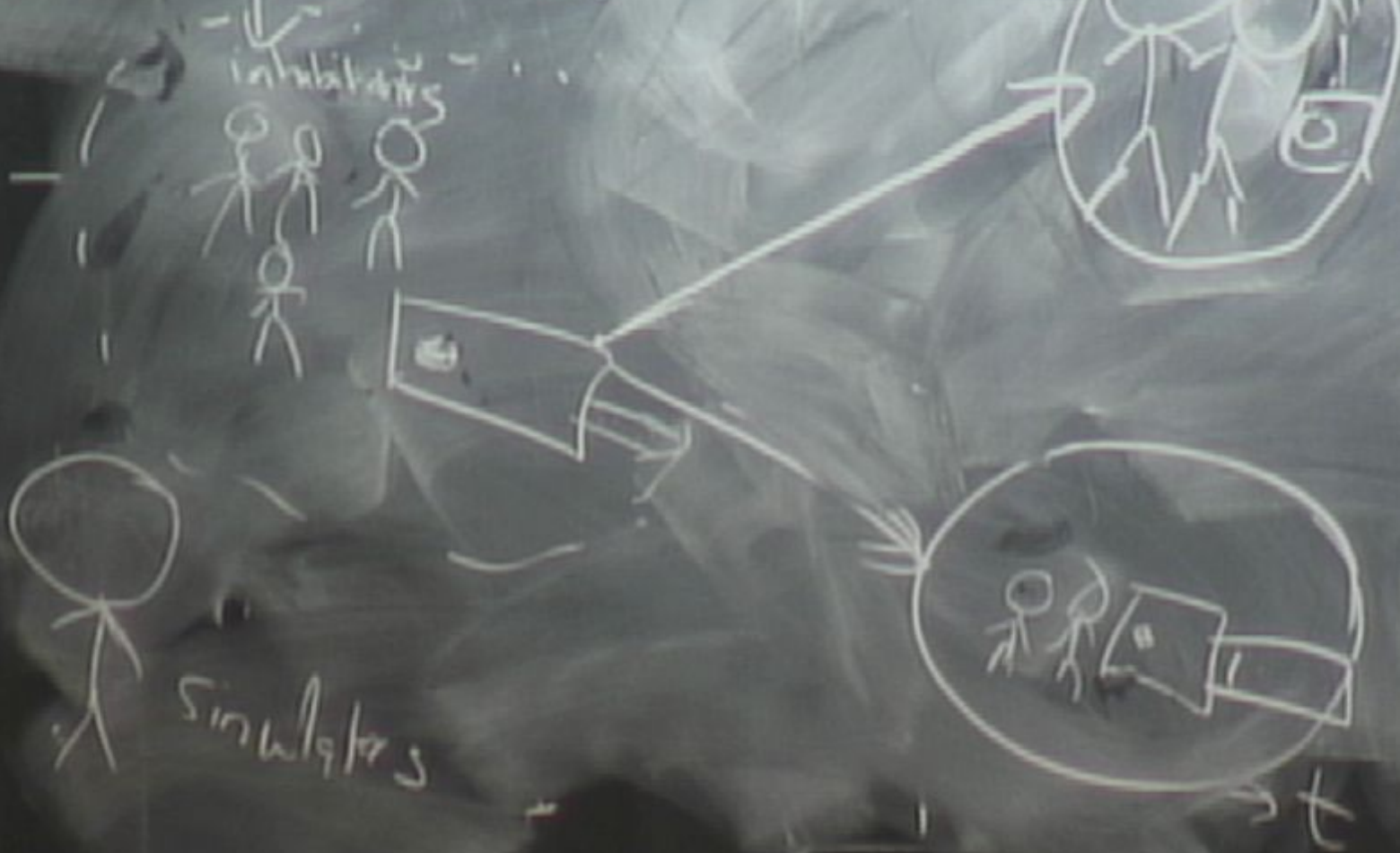
So, more discussion is needed, but still, we seem to have made interesting progress in this example. Perhaps many-worlds theory confirmation could sometimes work - or at least get somewhere closer to working - after all?

# Case 3: sensation enhancement defines importance weights



develop many ways theories include hypotheses re influence weight

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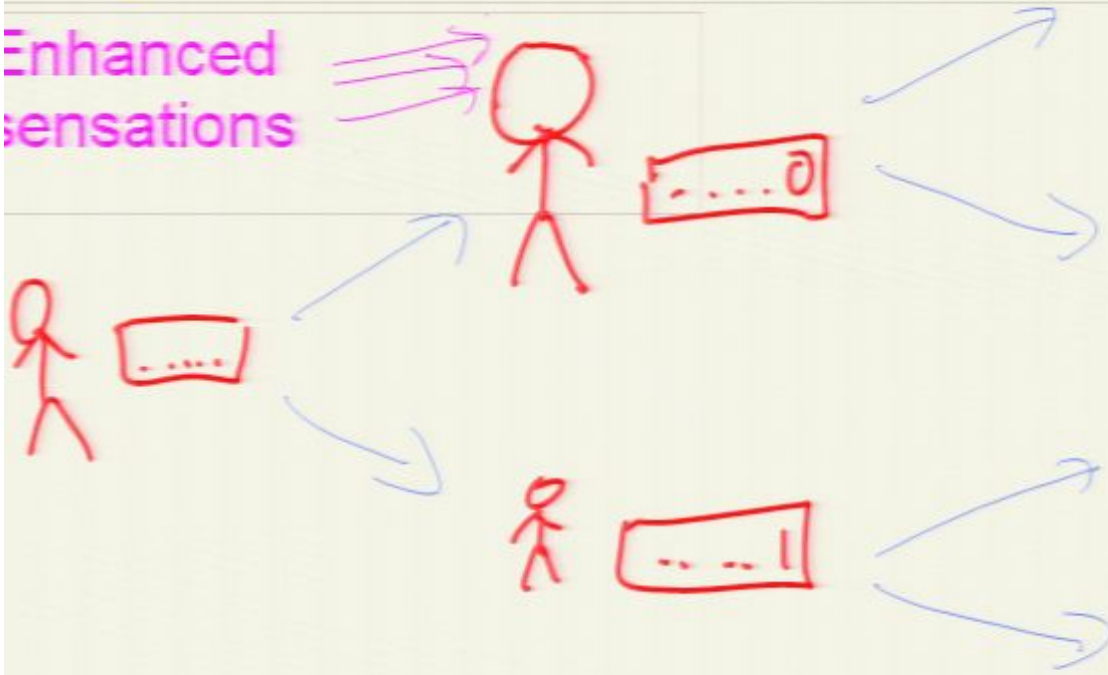


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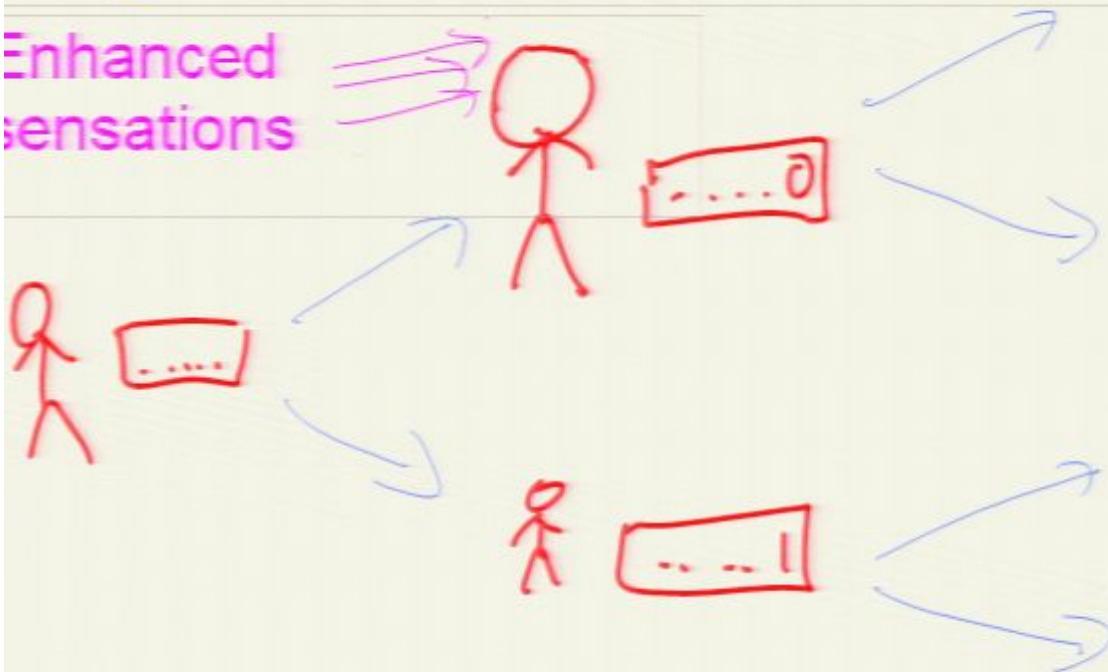
Enhanced sensations



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The inhabitants don't know what's going on -- but again, arguably, if they did, they should assign importance weights  $(3/4, 1/4)$  to  $(0, 1)$  branches. Winning a donut brings three times the pleasure on 0 branches as on 1 branches, and so on.

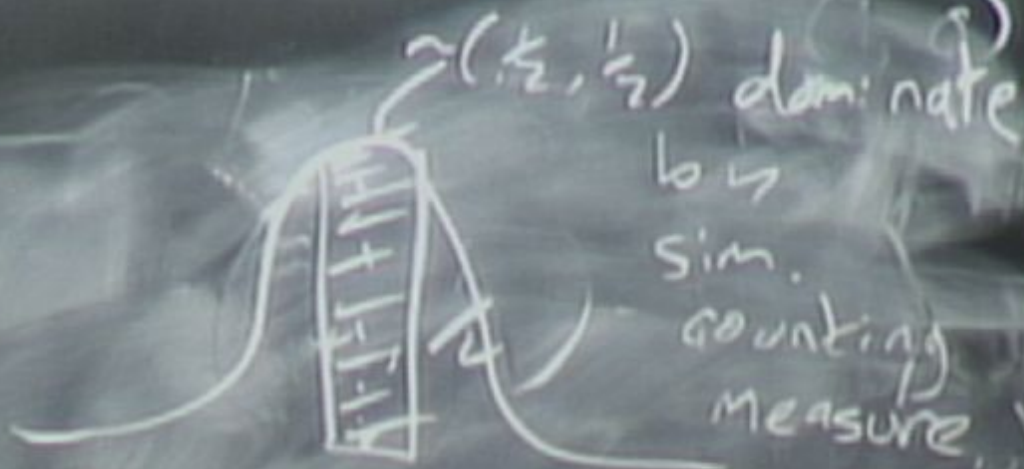
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This time, it's these inhabitants who dominate in the multiverse, according to the simulation counting measure. By that measure, almost all inhabitants tend to arrive at the wrong importance weights.

3x intensity  
of feelings



If we can't simulate,  
 $v$  zeros,  $(N-v)$  ones  
 replicated ~~times~~ times.

~~times~~  $\binom{N}{r}$  Sims with  $(v, N-v)$   
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We have here two inequivalent branch measures.

## What have we learnt?

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This, I claim -- there are two logically distinct notions of importance, not separated in the Everettian literature:

"caring weight" -- how much one should (given some assumptions) care about events on a given branch.

"confirmation weight" -- how much weight should (given some other assumptions) be attached to a branch when assessing the success or failure of theory testing and confirmation.

For many-worlds confirmation theory to work, we need our many-worlds theories to be somehow equipped with a natural notion of branch confirmation weight (not just caring weight).

But a novel rule for theory confirmation doesn't seem something one can be allowed just to postulate in a scientific theory. (Consider my new one-world theory which includes a postulate that the important people for confirming the theory are those who agree with my observations and my theoretical interpretation. It's self-consistent -- but it surely isn't science.)

However, to have any hope of deriving a confirmation weight, we can't appeal to a purported derivation of caring weight (even if one were accepted). We would need a separate justification: for instance, that underlying Everettian quantum theory is some "many-minds" model analogous to the replicant multiverse -- precisely the sort of ad hoc structure that all decent Everettians wish and purport to avoid.



## Summary for Everettians:

Even if you can

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- ii) treating  $|24|^2$  as a confirmation weight - i.e. neglecting atypical low  $|24|^2$  branches on which non-Born weight statistics are observed.

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Few people believe even (i) is possible - but some do: cf. Wallace, Deutsch.

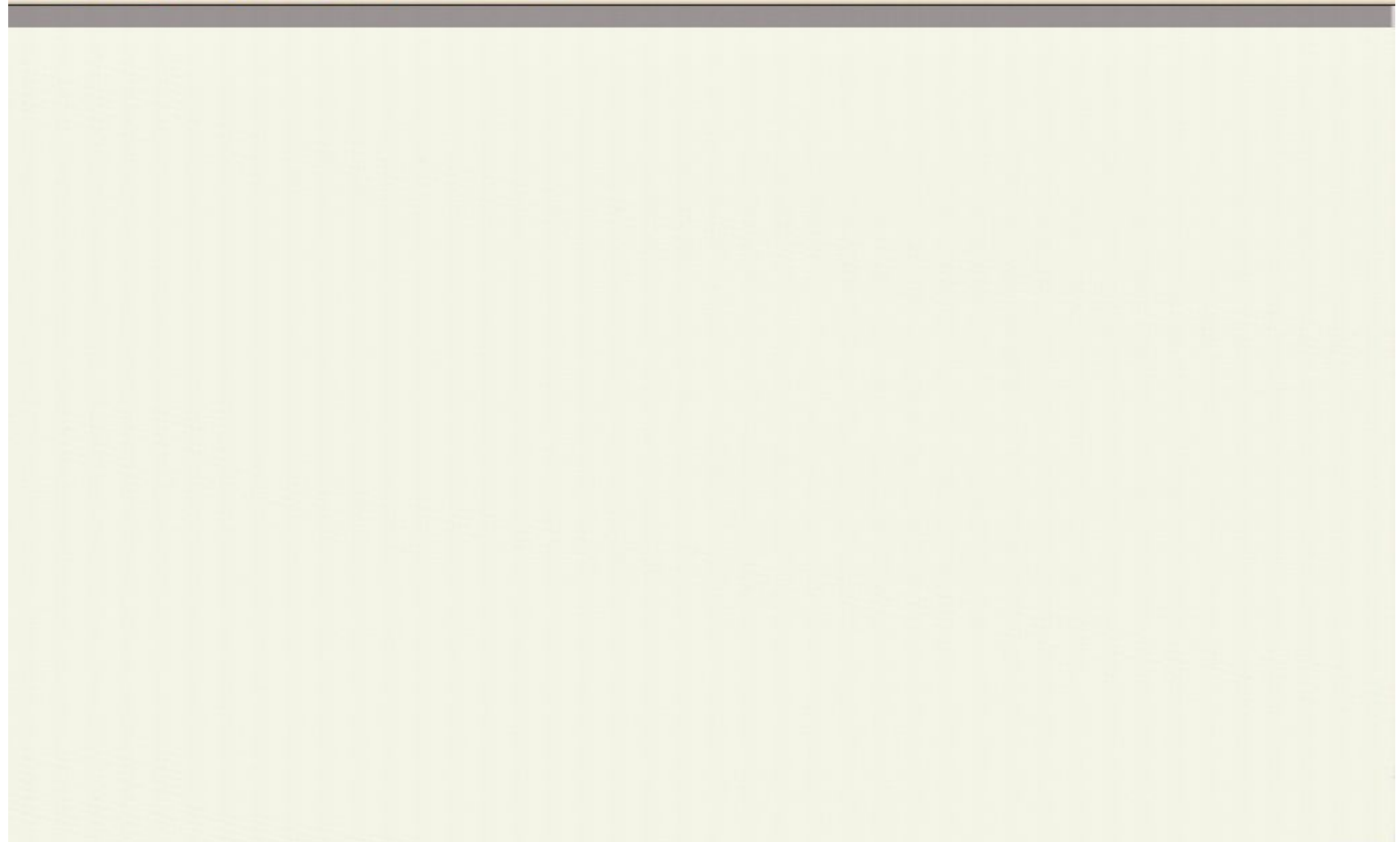
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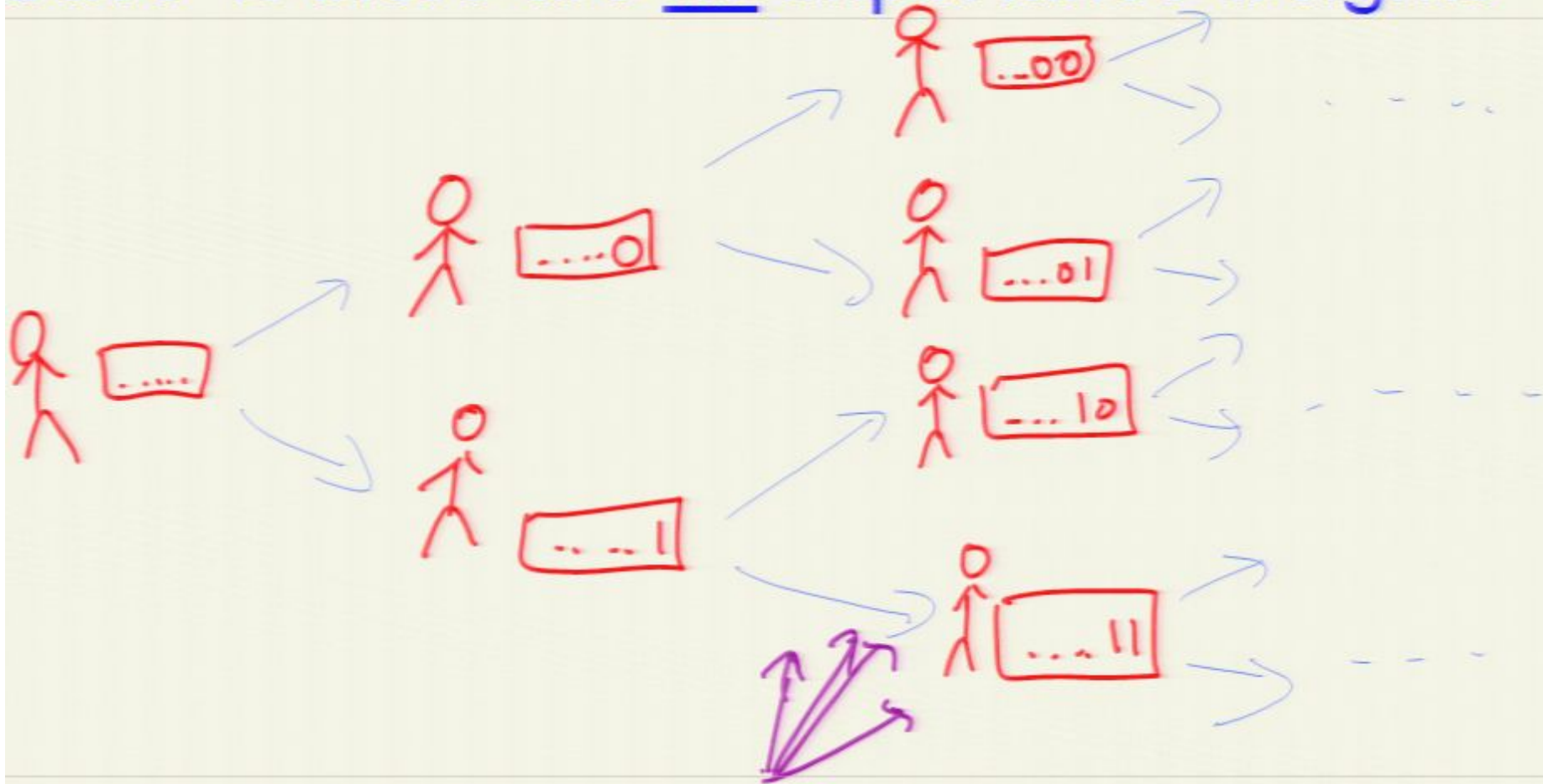
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No one, as far as I am aware, has separately addressed (ii)



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