

Title: Early Dark Energy

Date: Oct 28, 2008 02:00 PM

URL: <http://pirsa.org/08100027>

Abstract: The Dark Energy might constitute an observable fraction of the total energy density of our Universe as far back as the time of matter radiation equality or even big bang nucleosynthesis. In this talk, I will review the cosmological implications of such an 'Early Dark Energy' component, and discuss how it might - or might not - be detected by observations. In particular, I will show how assuming the early dark energy to be negligible will bias the interpretation of cosmological data.

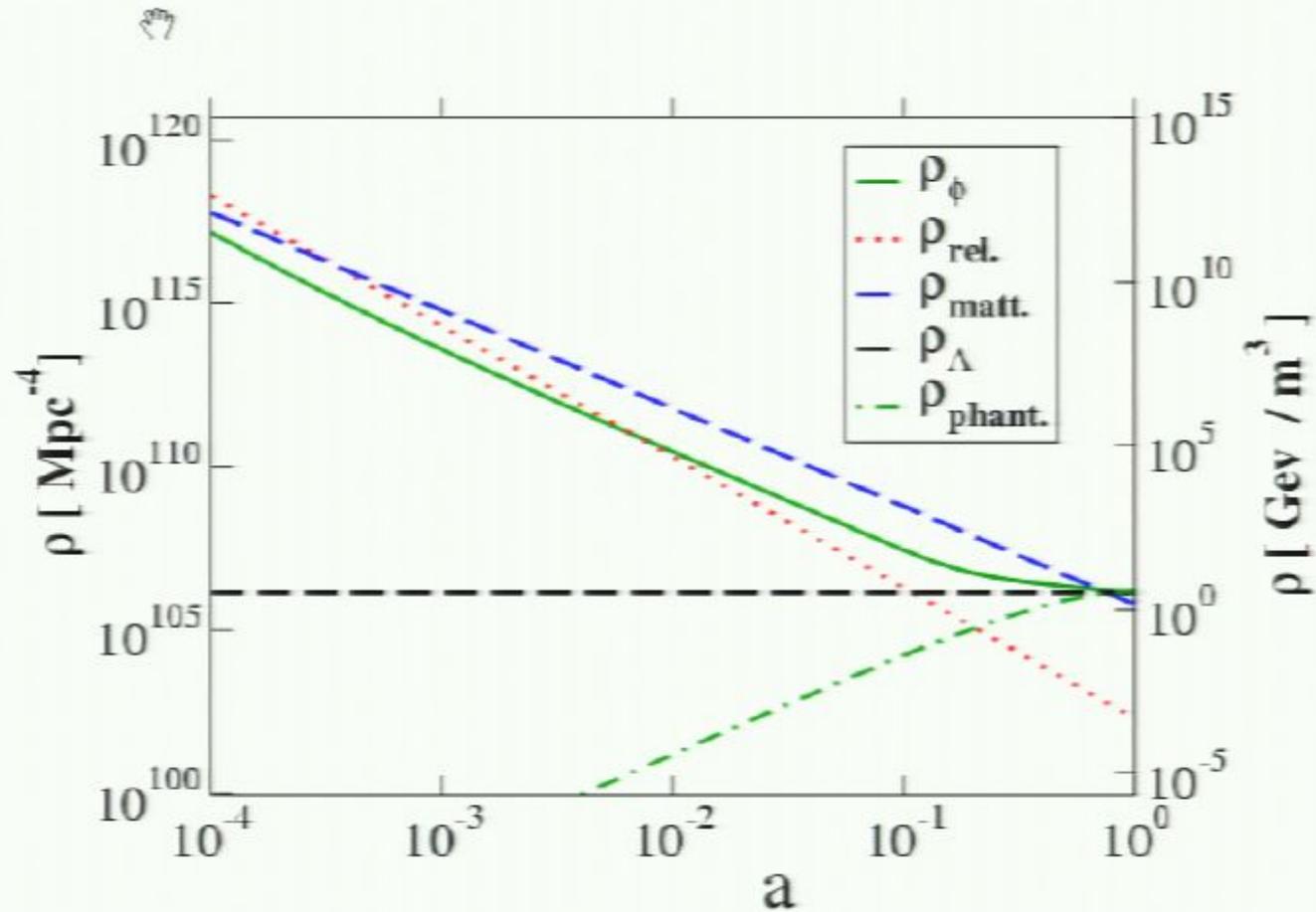


Early Dark Energy

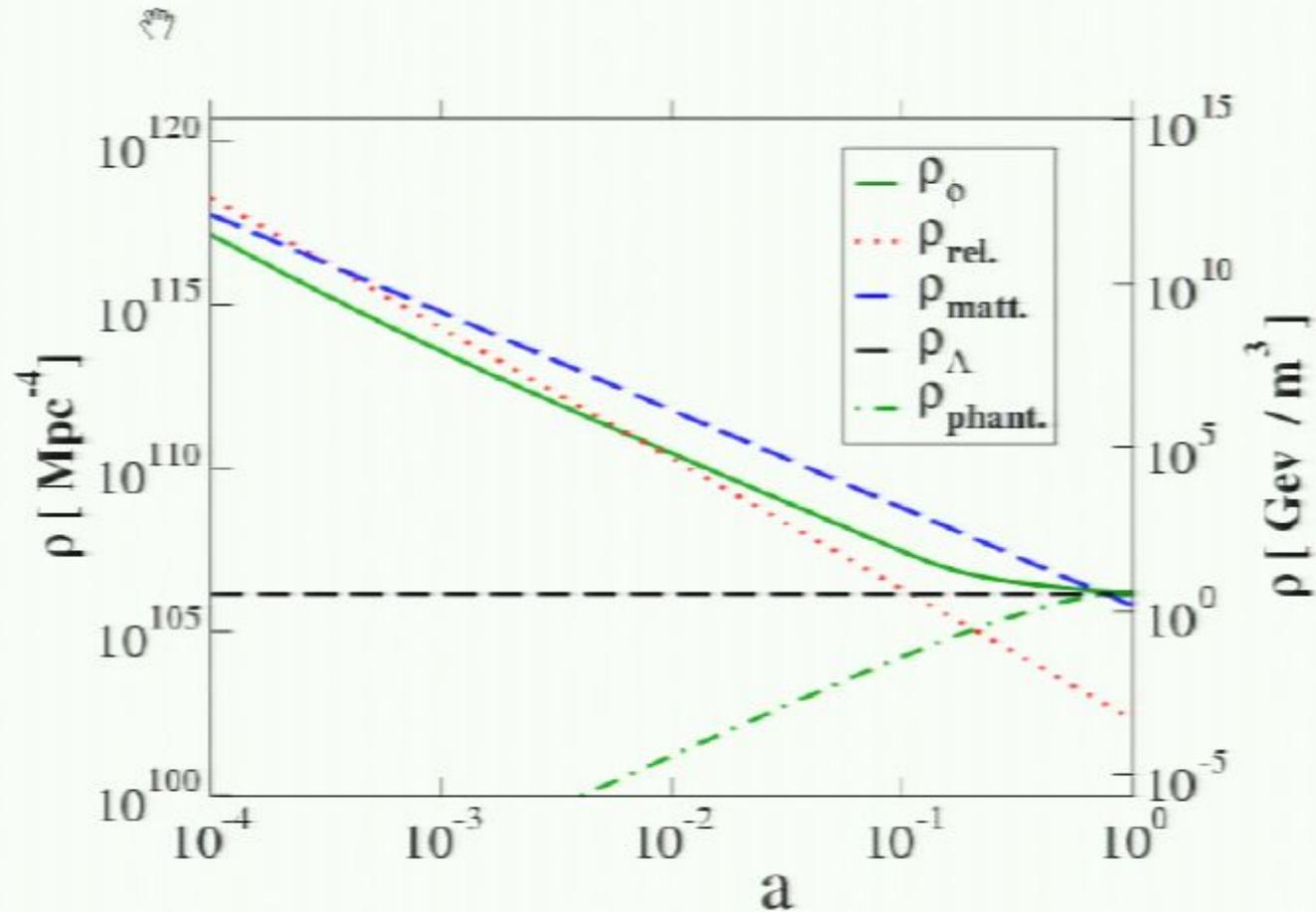
Georg Robbers

Institut für Theoretische Physik, Uni Heidelberg

energy densities



energy densities



exponential potential

- scalar field, exponential potential, $V(\phi) = M^4 \exp(-\alpha \frac{\phi}{M})$
- $\Omega_{de}^{early} = \frac{n}{\alpha^2}$, $n = 3(4)$ for matter (radiation) domination
- how to get out of attractor?

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- dynamical mechanism: growing matter/neutrinos

Growing Neutrinos

Amendola, Baldi, Wetterich 2007



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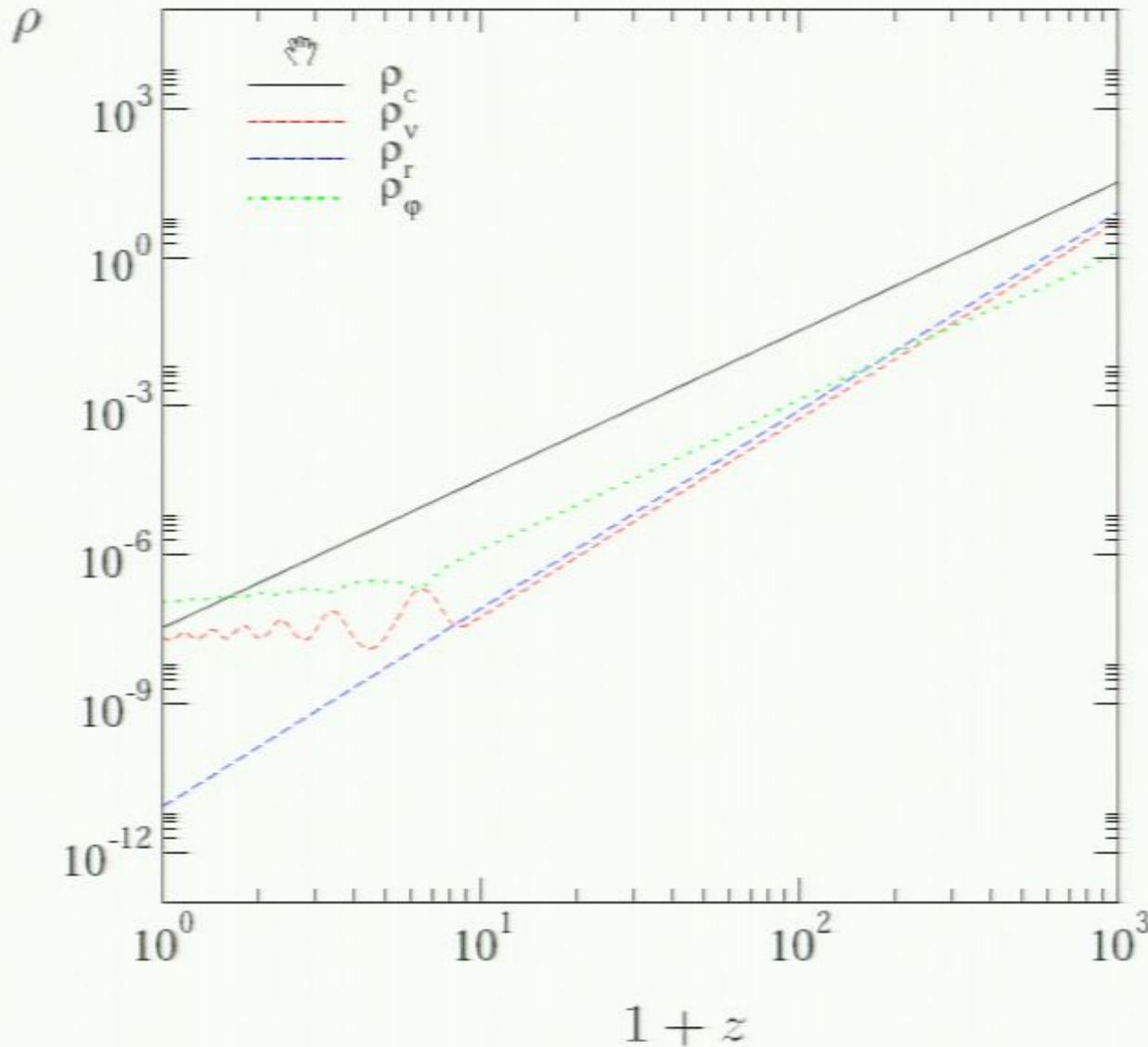
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- mass depends on ϕ :

$$m_g(\phi) = \bar{m}_g \exp(-\beta \phi / M)$$

- field equation:

$$\ddot{\phi} + 3H\dot{\phi} = -\frac{\partial V}{\partial \phi} + \frac{\beta}{M}\rho_g$$

Growing Neutrinos



background evolution for
constant $\beta = -52$
 $\alpha = 10$ and large neutrino
mass $m_\nu = 2.11 \text{ eV}$

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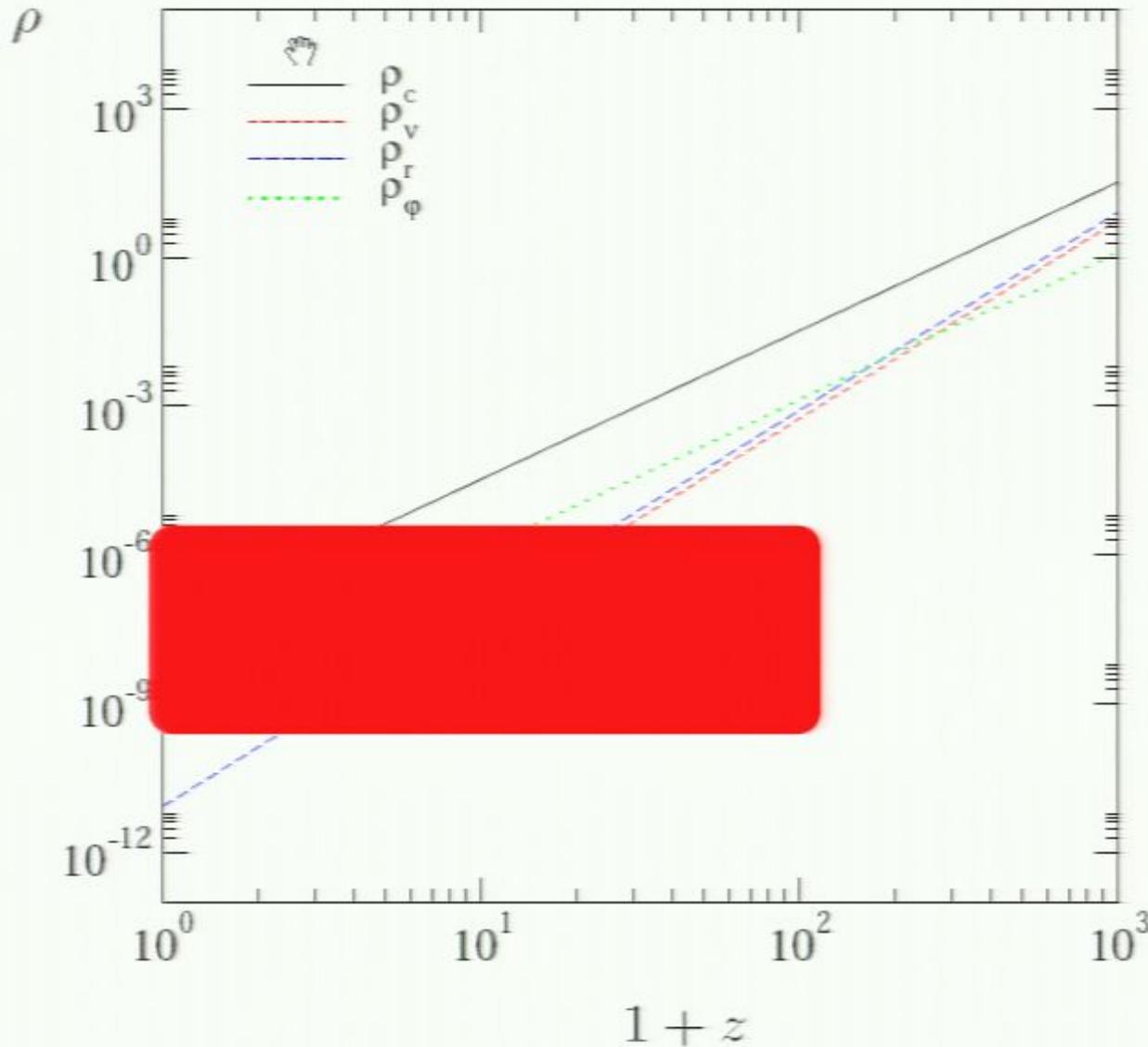
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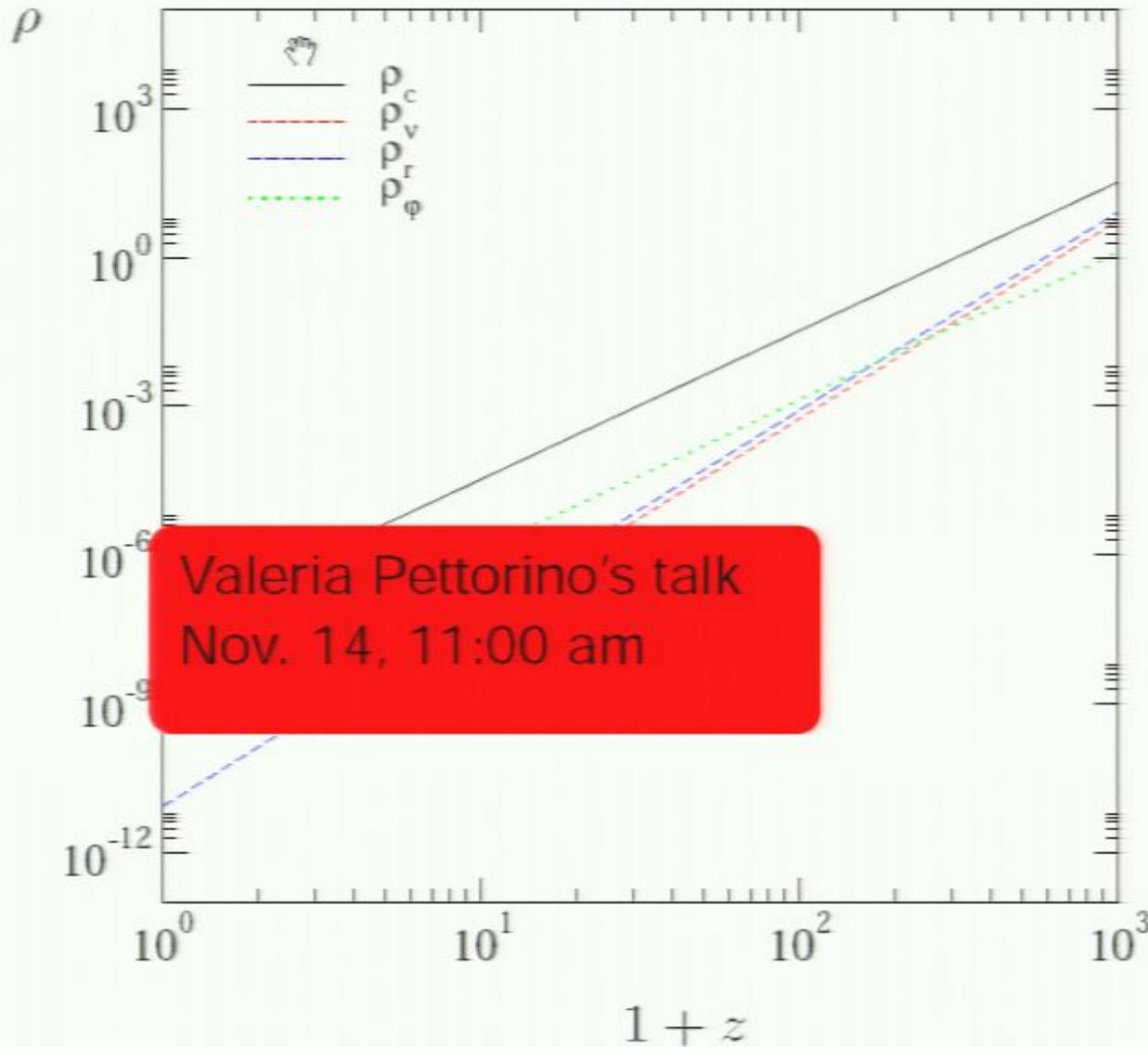
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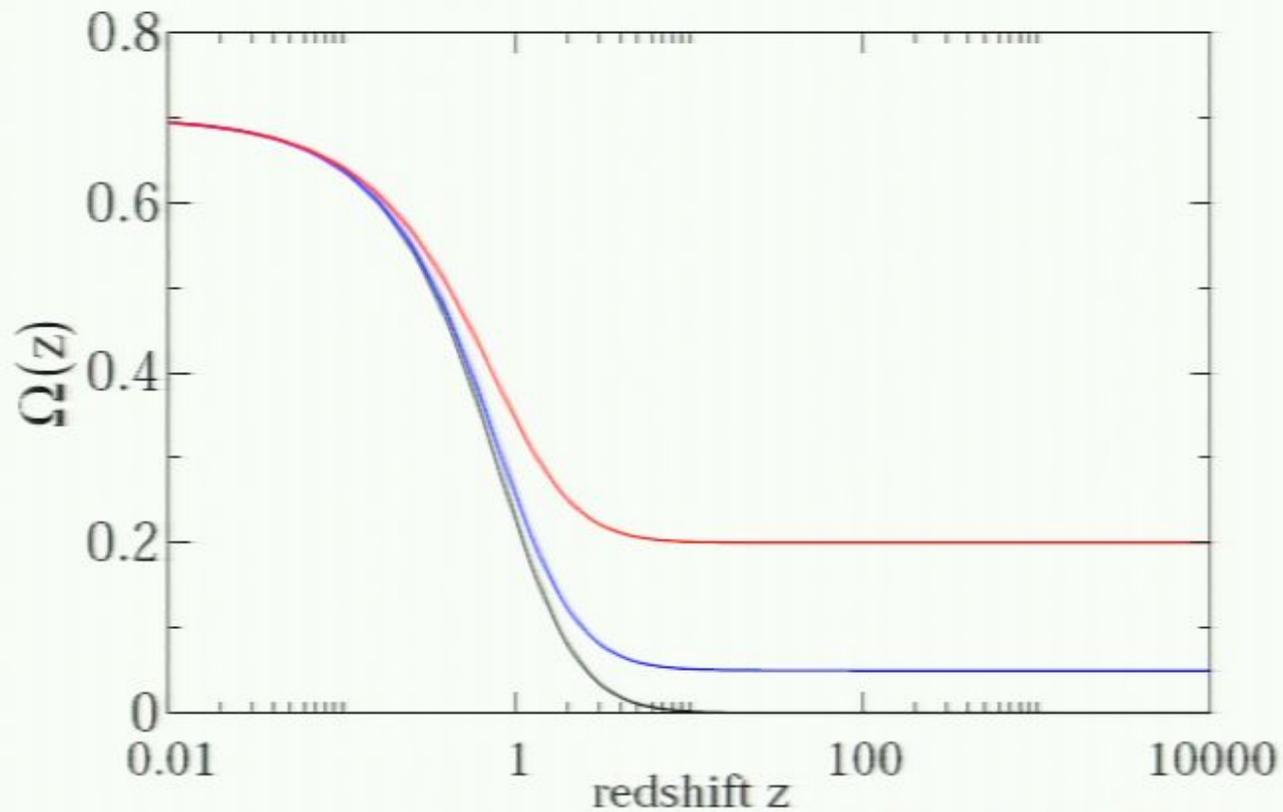
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One Model of Early Dark Energy

$$\Omega_{de}(a) = \frac{\Omega_{de}^0 - (1 - a^{-3w_0})\Omega_{de}^{early}}{\Omega_{de}^0 + (1 - \Omega_{de}^0)a^{3w_0}} + \Omega_{de}^{early}(1 - a^{-3w_0})$$



M. Doran and GR, JCAP 0606 (2006) 026

geometric distances

- horizon

$$\tau_0 \approx \frac{2}{H_0 \sqrt{\Omega_m}} {}_2F_1 \left(\frac{1}{2}, -\frac{1}{6w_0}; 1 - \frac{1}{6w_0}; -\frac{\Omega_{de}^0}{\Omega_m} \right) - C(w_0) \frac{2\Omega_{de}^{early}}{H_0 \sqrt{\Omega_m}} {}_2F_1 \left(\frac{1}{2}, -\frac{1}{6w_0}; 3 - \frac{1}{6w_0}; -\frac{\Omega_{de}^0}{\Omega_m} \right) \frac{1}{\left(2 - \frac{1}{6w_0}\right) \left(1 - \frac{1}{6w_0}\right)}$$

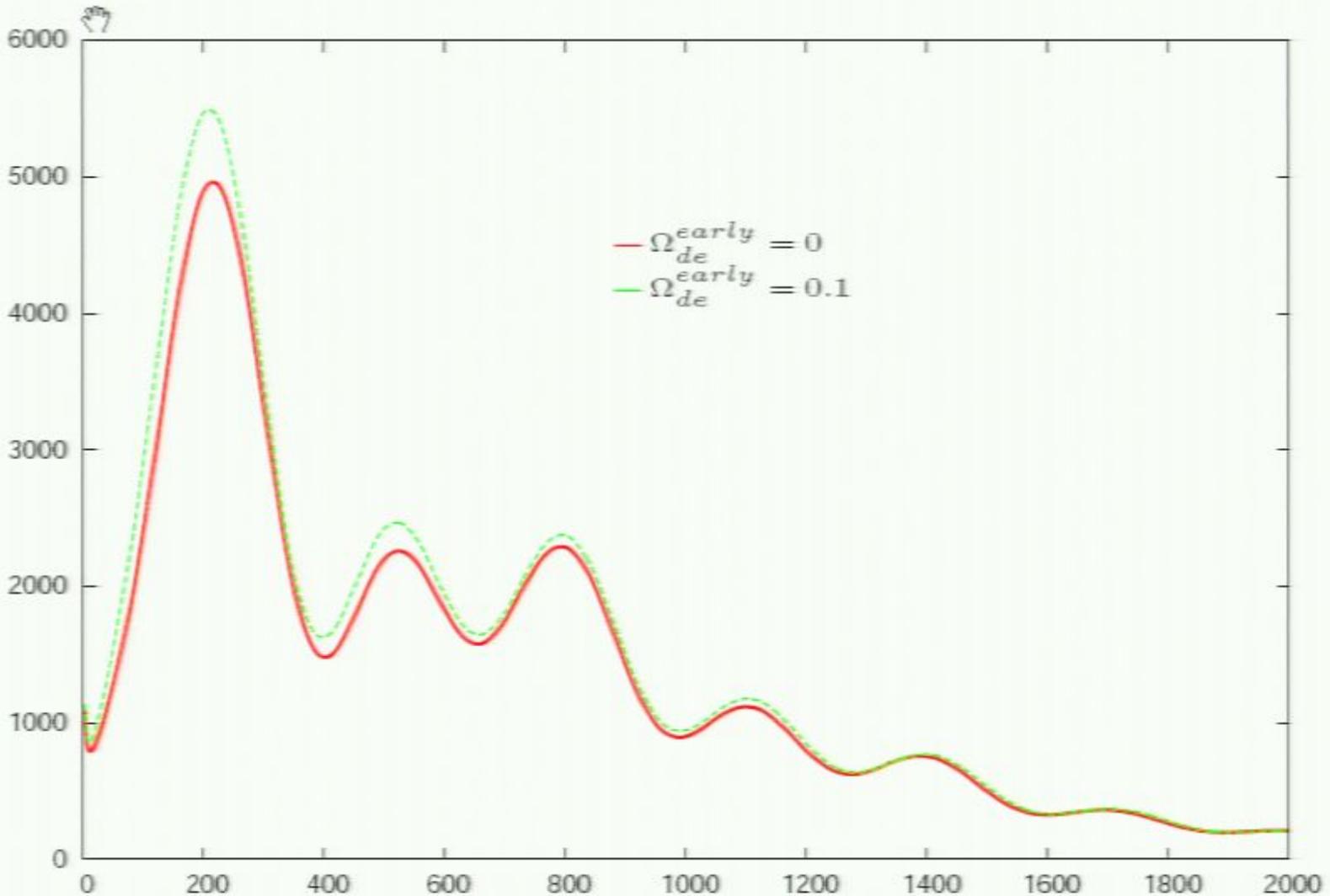
- last scattering

$$\tau_{ls} = \frac{2}{H_0} \left(\frac{1 - \Omega_{de}^{early}}{\Omega_m^0} \right)^{1/2} \left[\sqrt{a_{ls} + \frac{\Omega_{rel}}{\Omega_m^0}} - \sqrt{\frac{\Omega_{rel}}{\Omega_m^0}} \right]$$

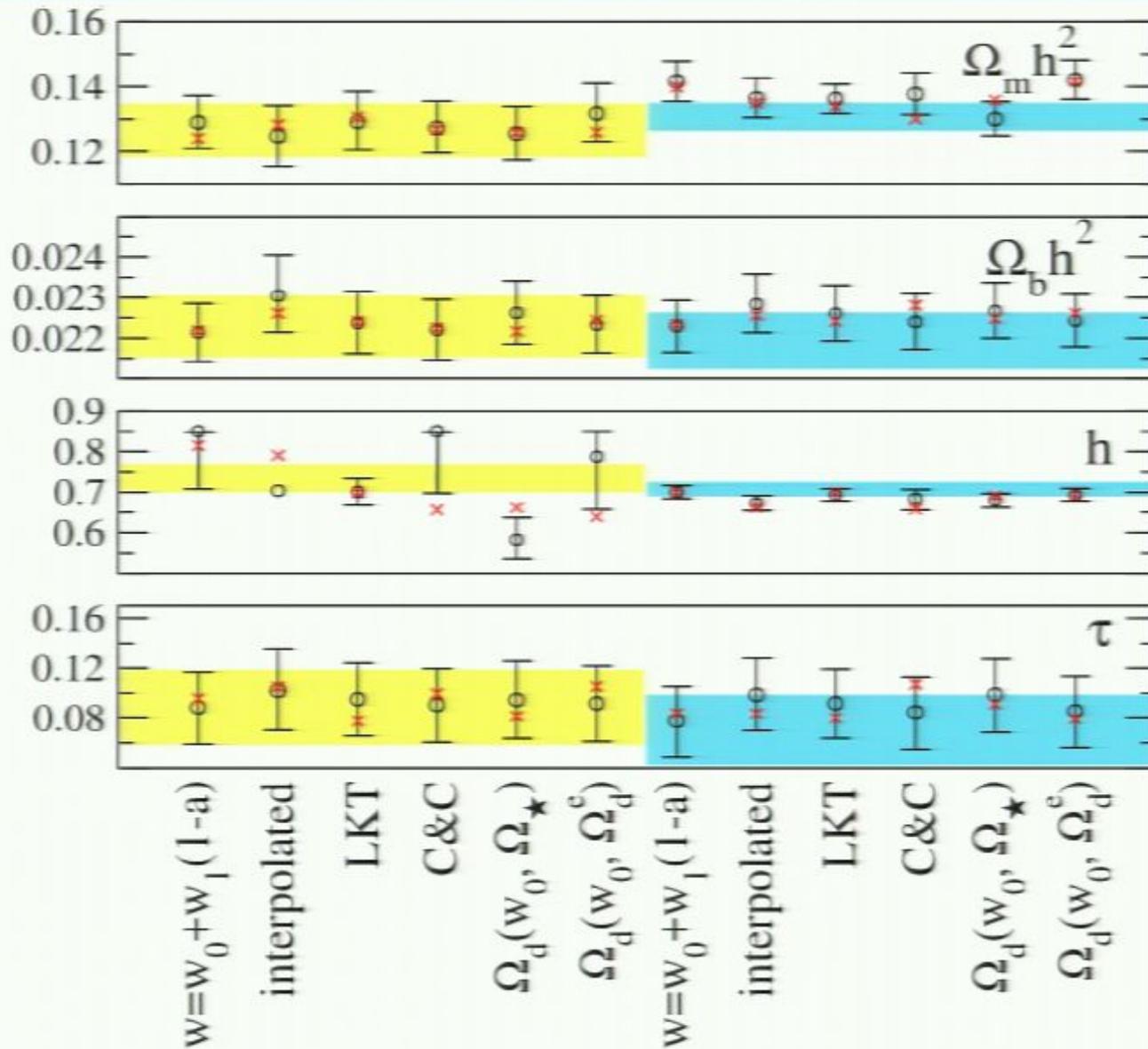
- sound horizon

$$s_*(\Omega_{de}^{early}) = \sqrt{1 - \Omega_{de}^{early}} s_*(\Omega_{de}^{early} \approx 0)$$

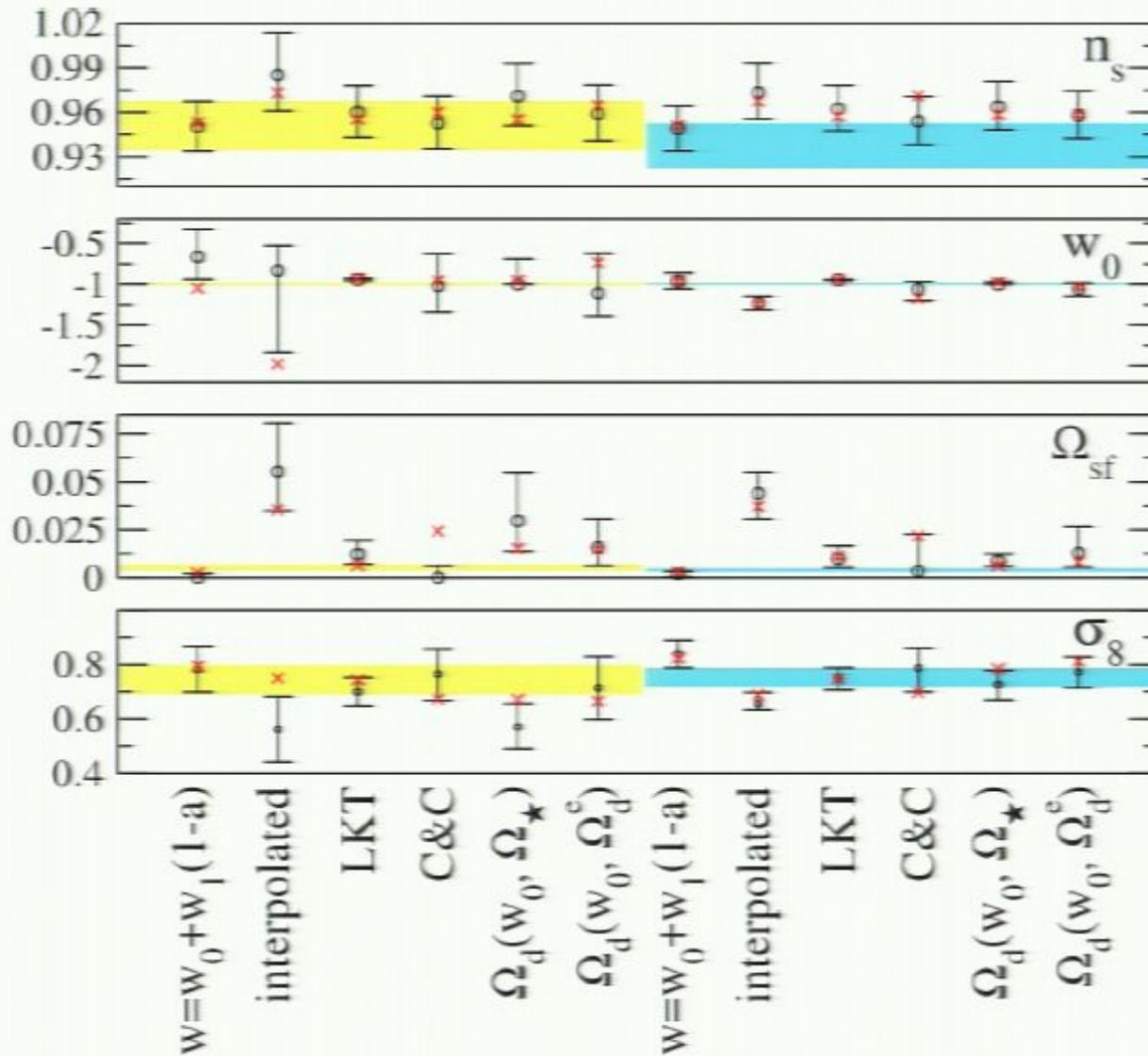
CMB spectra



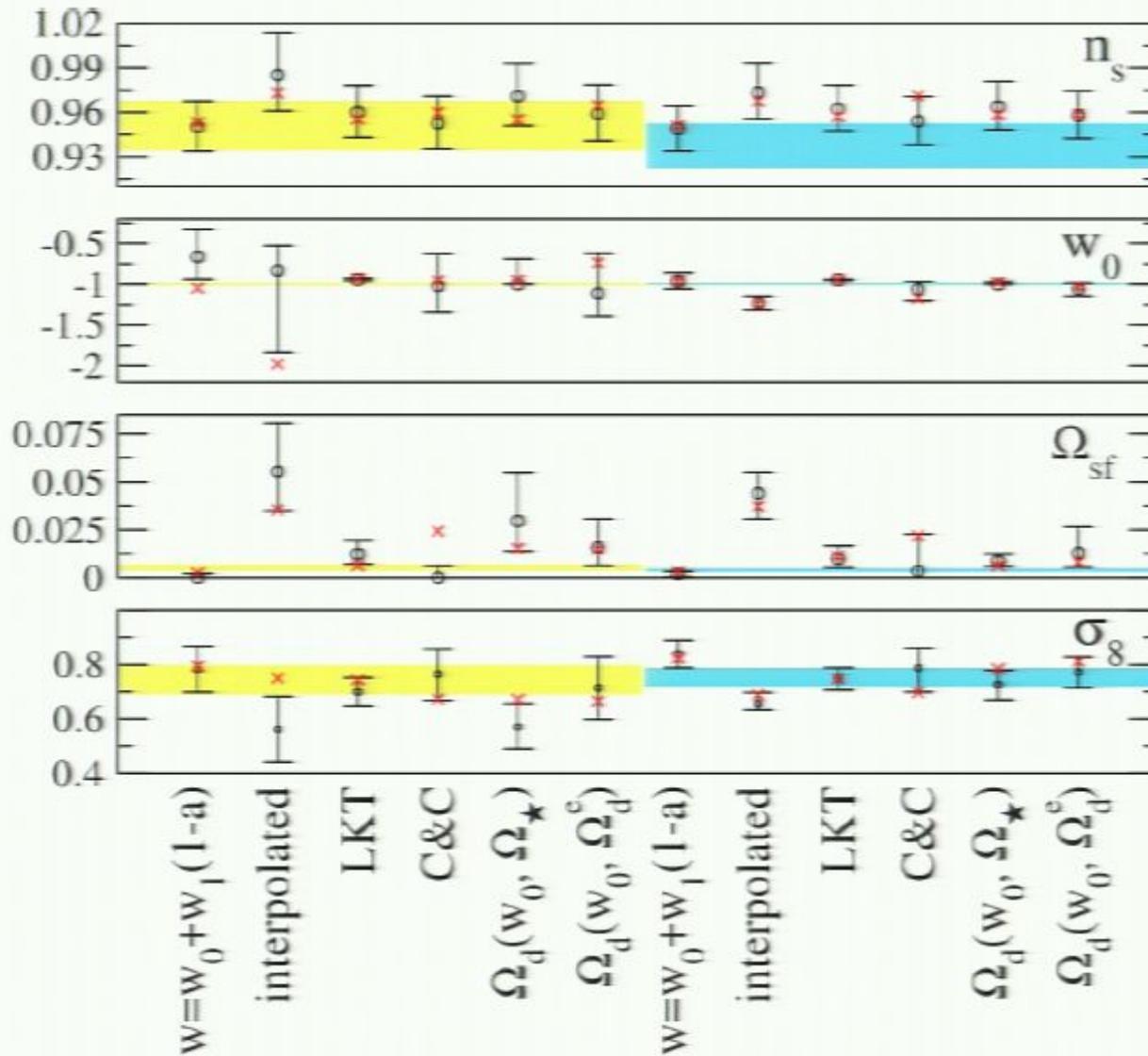
WMAP 3-year



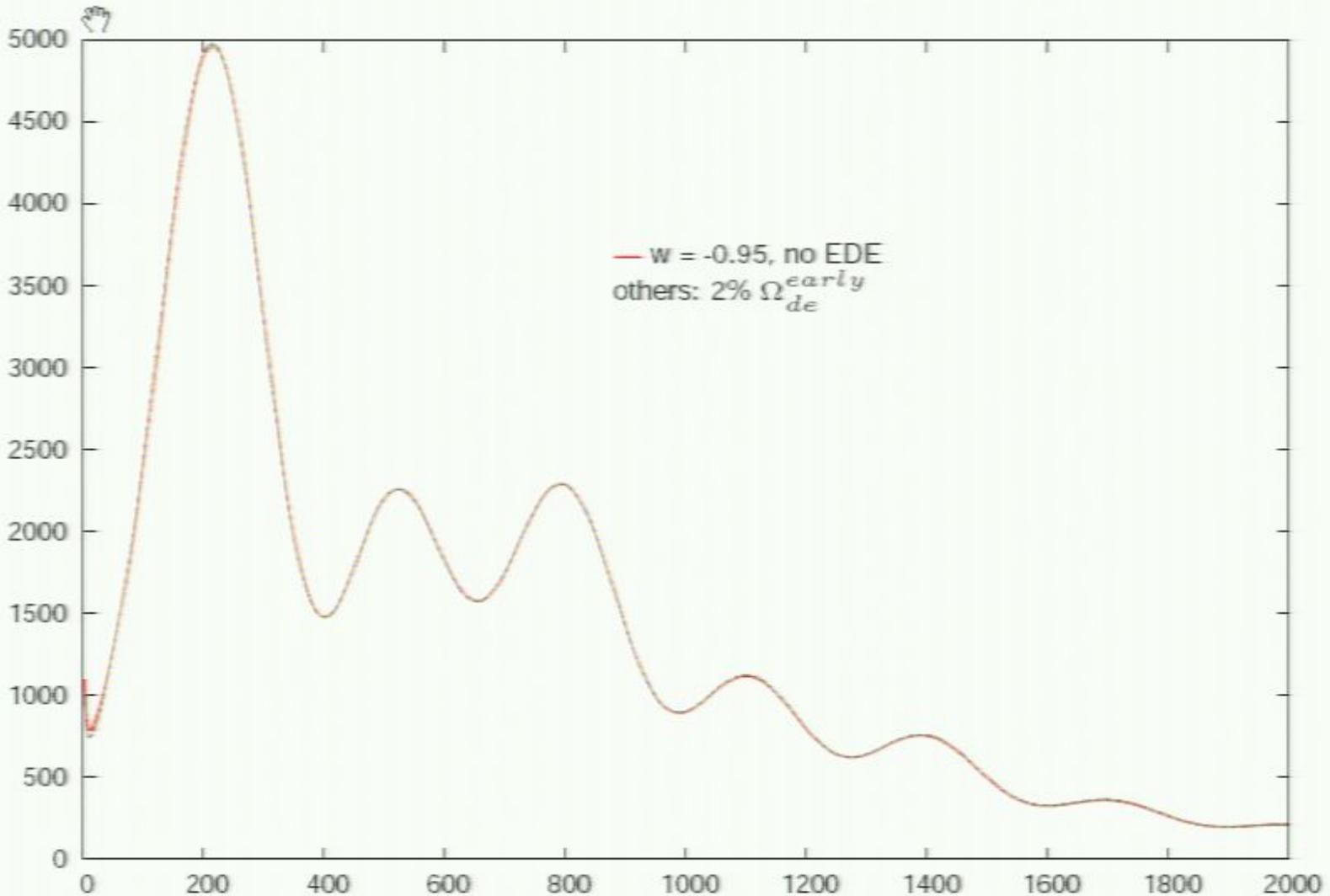
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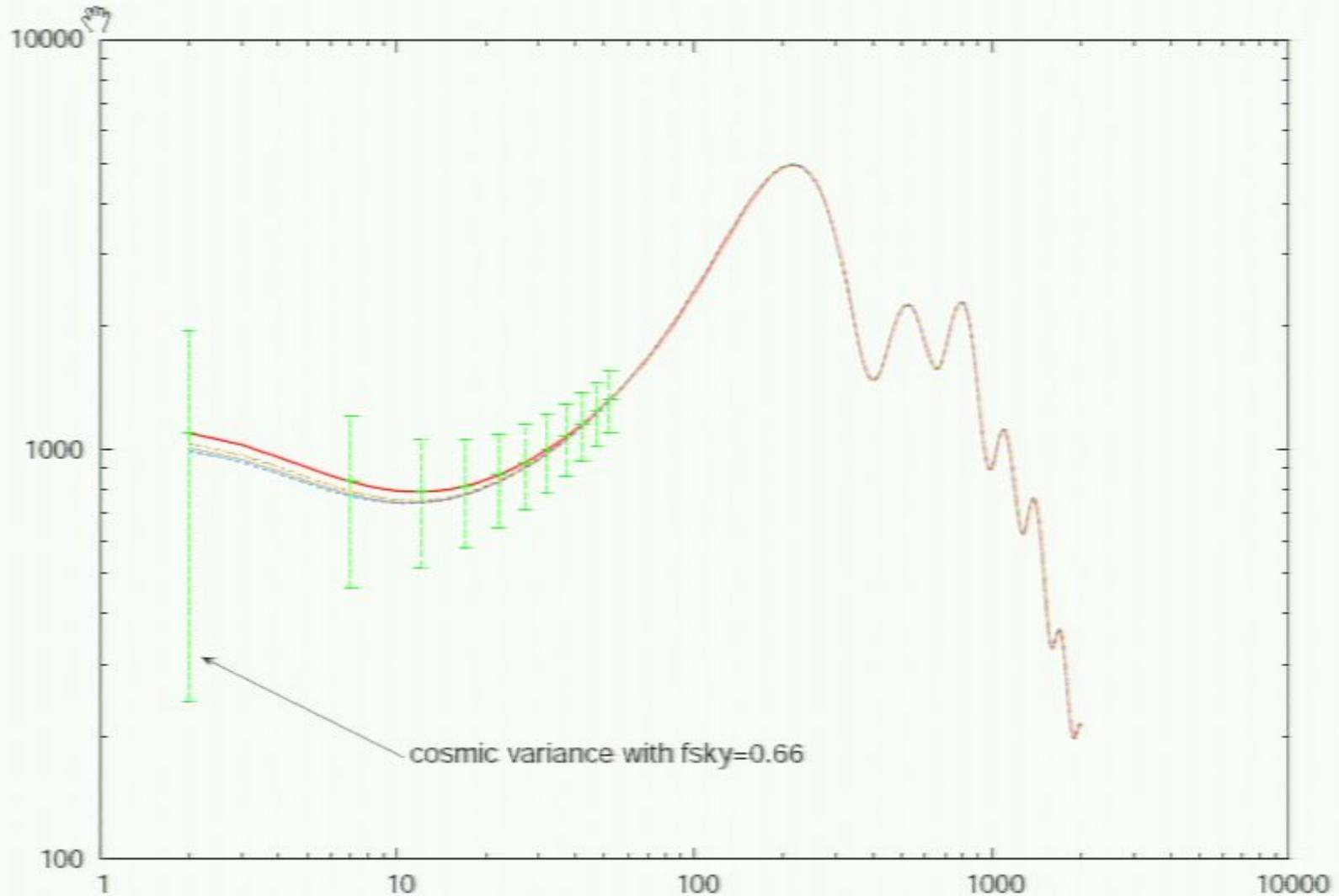
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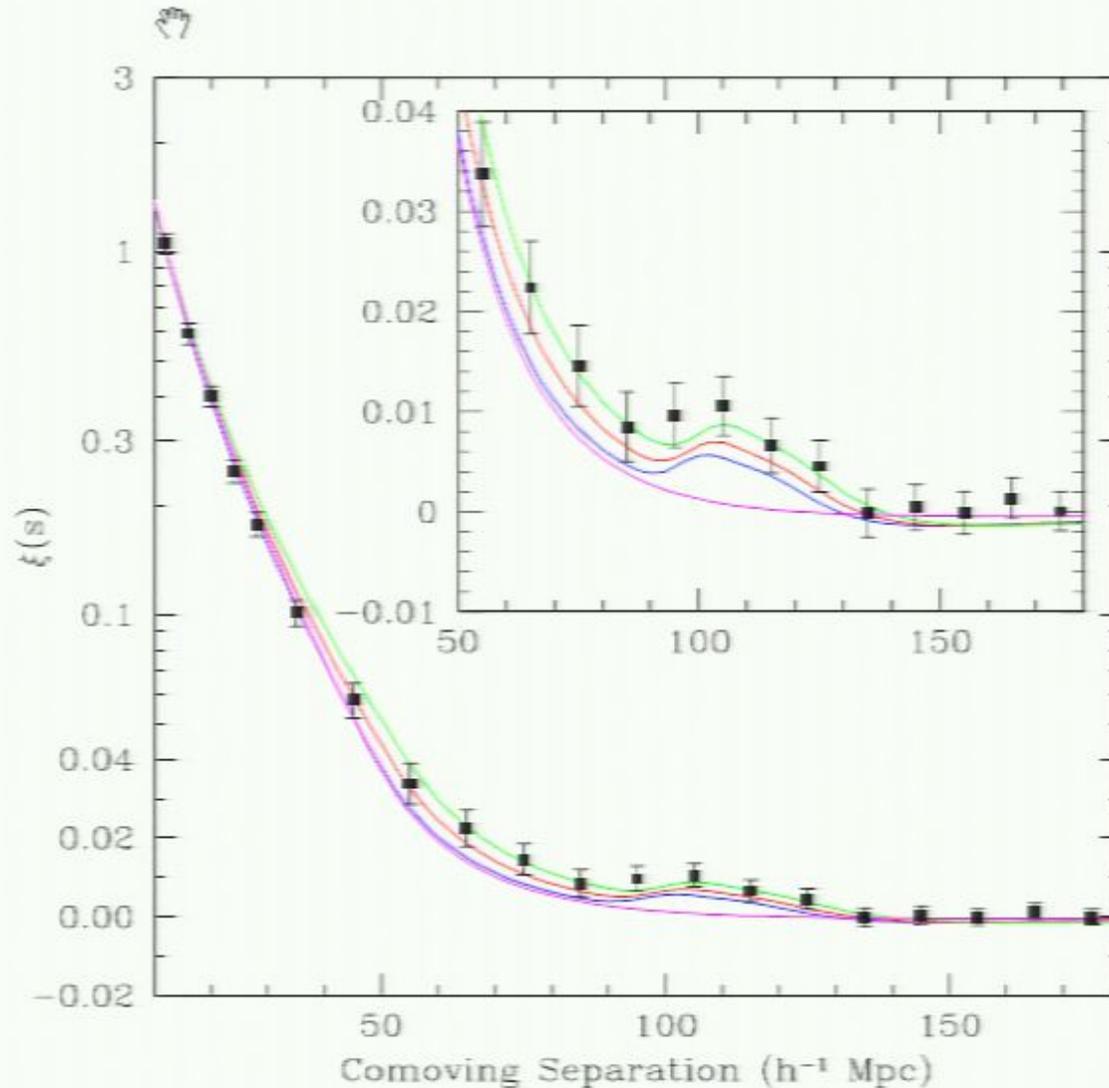


Baryon acoustic oscillations



Baryon acoustic oscillations

Eisenstein et al. '05, arXiv:astro-ph/0501171v1



EDE and BAO measurements E. V. Linder & GR, 08



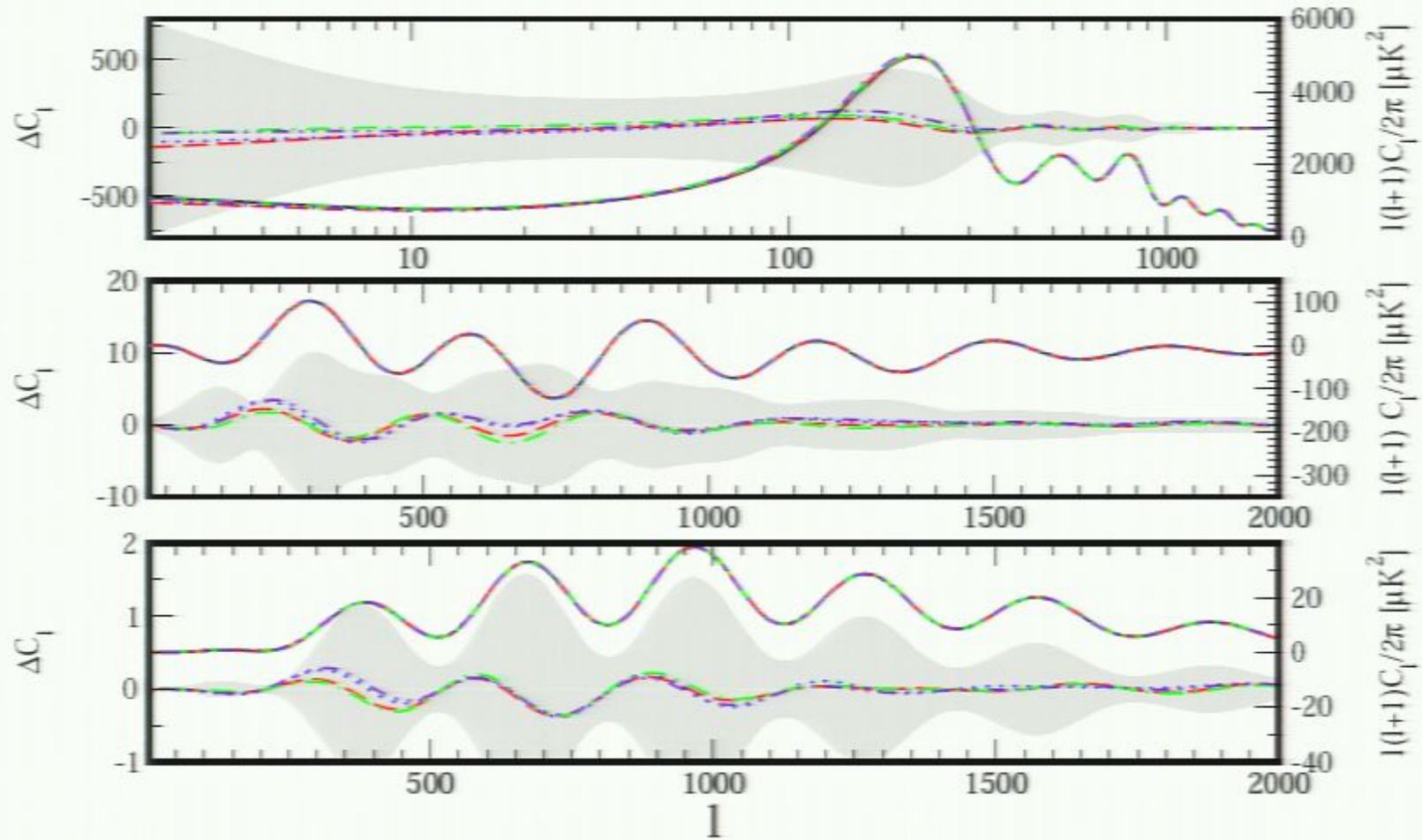
What happens if we assume a wrong cosmology?

- take a fiducial ($w_0 = -0.95, w_a = -0.1$) cosmology, no EDE
- can we really match CMB spectra?

EDE and BAO measurements

E. V. Linder & GR, 08

Yes, we can:



EDE and BAO measurements

E. V. Linder & GR, 08

- Acoustic peak measures geometric shift factor, i.e. d_{ISS}/s
- compare cmb-spectra of $\Omega_{de}^{\text{early}} = 0.03$ cosmologies to fiducial ($w_0 = -0.95, w_a = -0.1$) model

$$w(a) = w_0 + w_a(1 - a)$$

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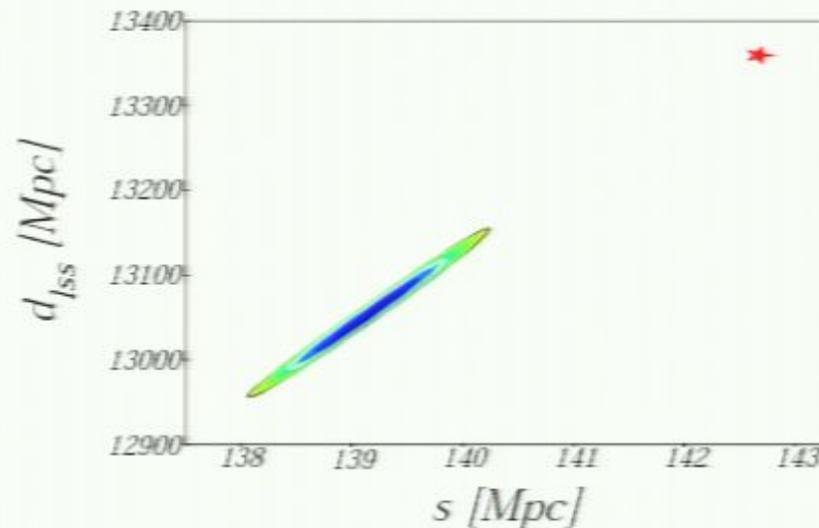
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- assume BAO experiment with 1% accuracy on d_A/s and H^{-1}/s
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EDE and BAO measurements E. V. Linder & GR, 08

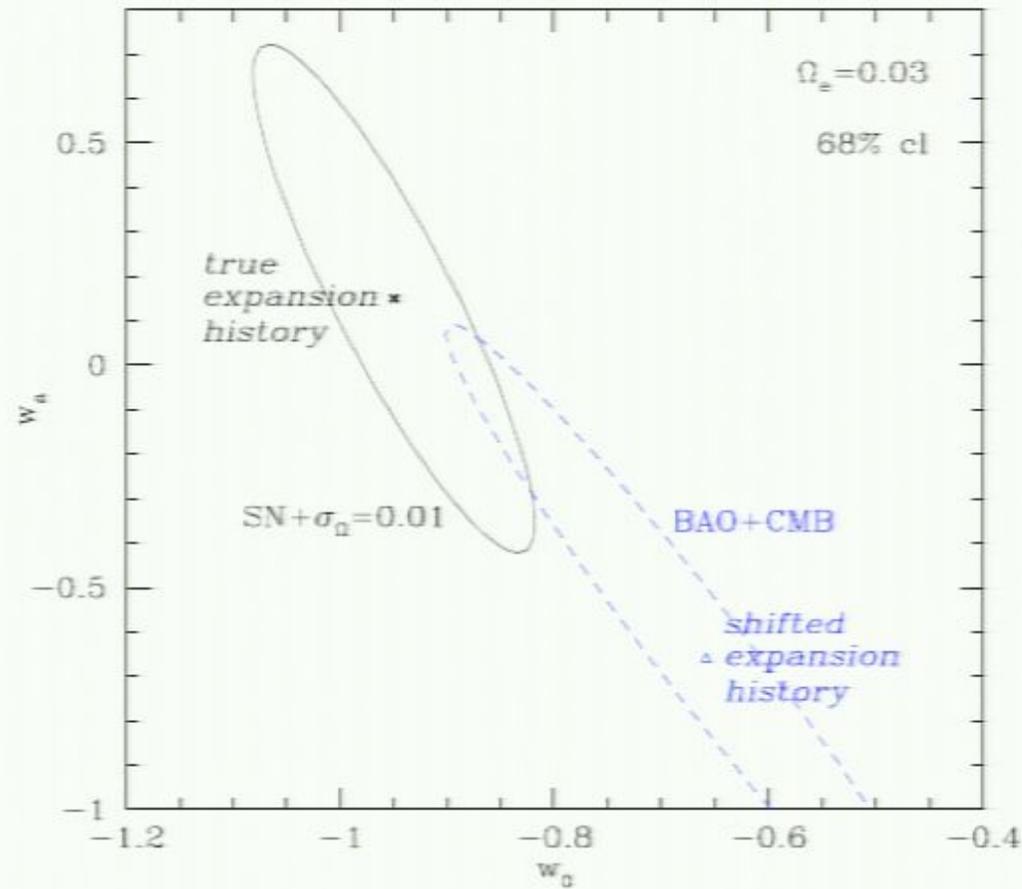
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- CMB data from Planck

EDE and BAO measurements

E. V. Linder & GR, 08



EDE and BAO measurements

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Possible way out:

- introduce calibration parameter S

EDE and BAO measurements E. V. Linder & GR, 08



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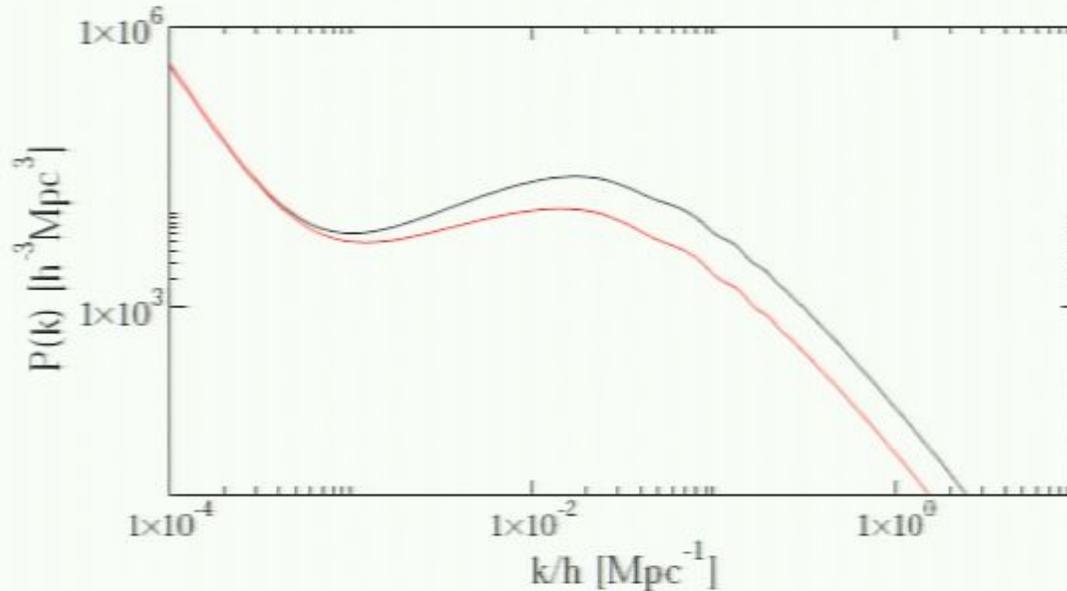
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- or prior constraint on S (to better than 0.5%)



Effects on Structure Formation

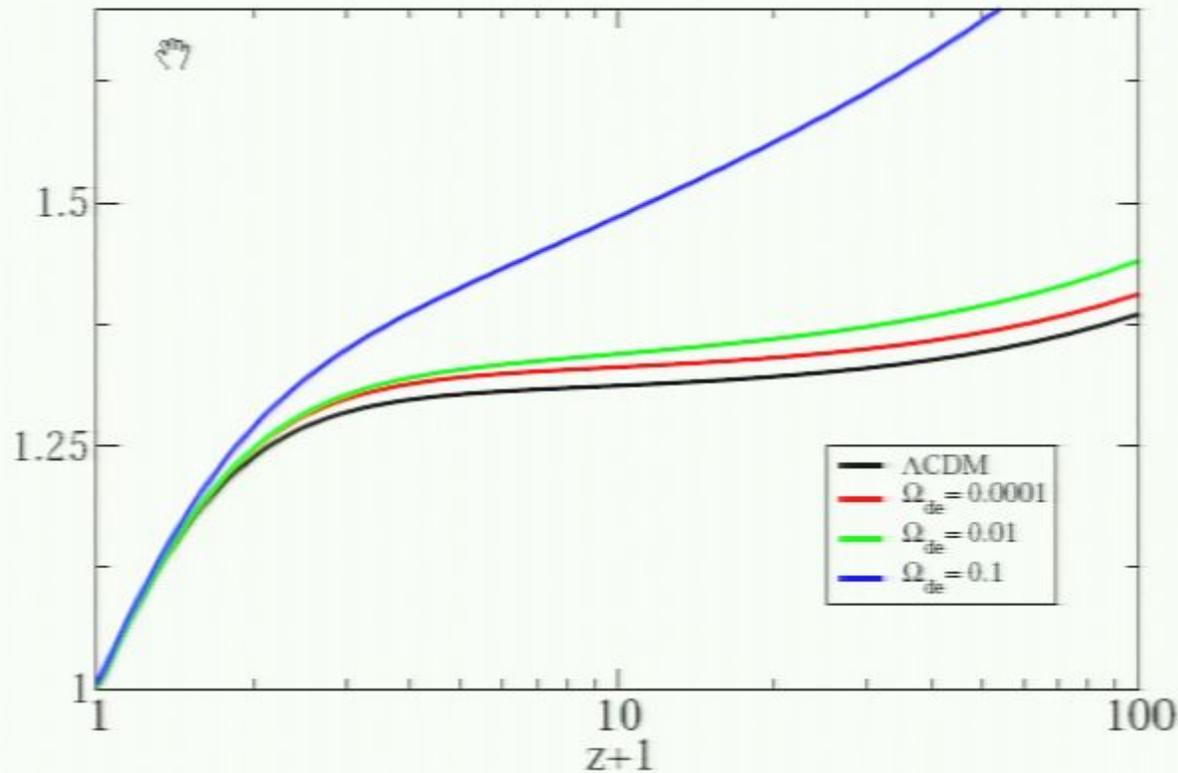
Effects on Structure

- linear structure growth is slowed
 Ferreira & Joyce '97, Schwindt '01, Doran et al. '01



- $\frac{\sigma_8(EDE)}{\sigma_8(noEDE)} \approx (a_{eq})^{3\Omega_{de}^{sf}/5} (1 - \Omega_{de}^{early})^{-(1+\bar{w}^{-1})/5} \sqrt{\frac{\tau_0(EDE)}{\tau_0(noEDE)}}$
- Increase $\bar{\Omega}_{de}^{sf}$ by 0.1 $\rightarrow \sigma_8 \searrow 50\%$

cdm-growthfactors

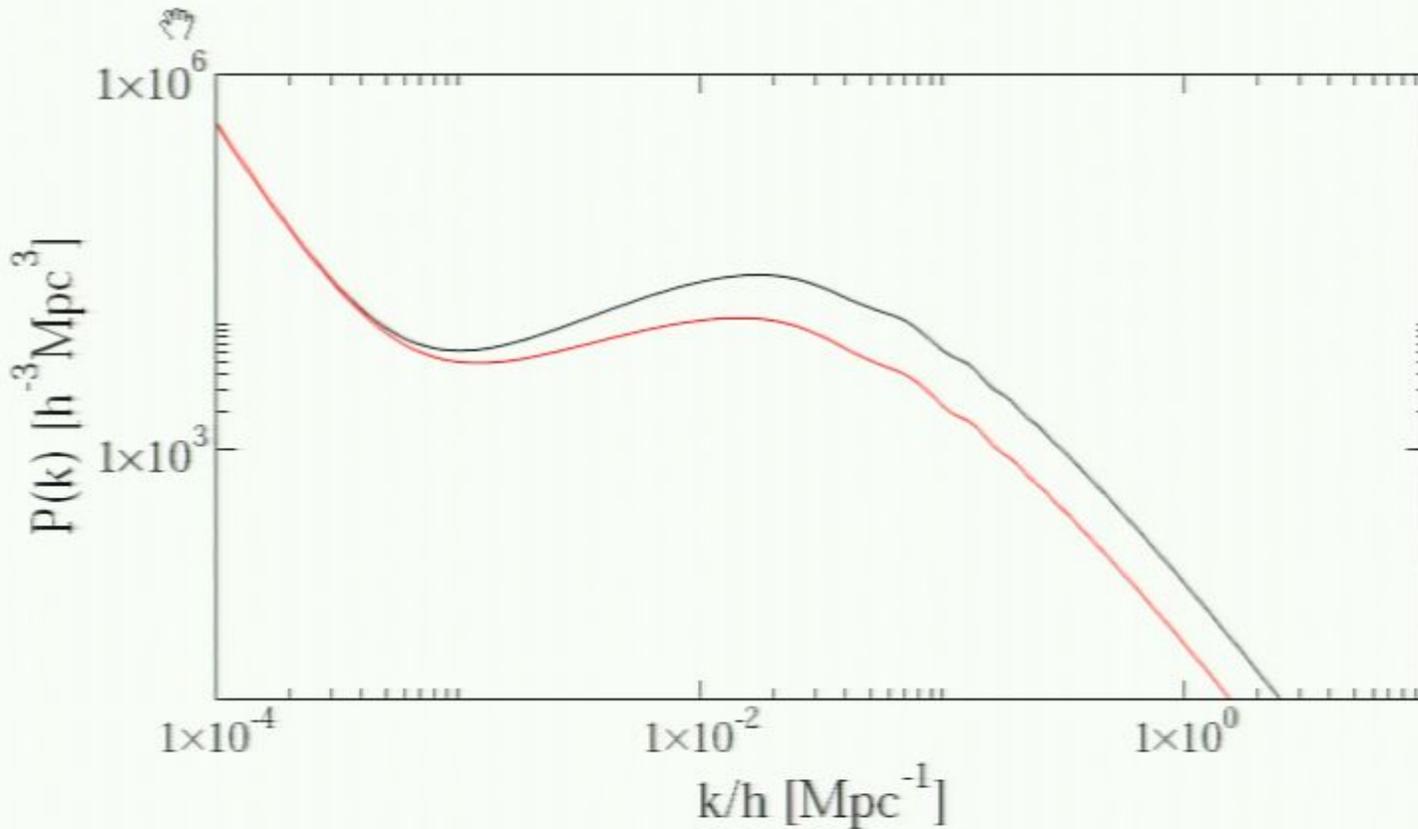


$$\ddot{\delta}_m + \frac{\dot{a}}{a} \dot{\delta}_m - \frac{3}{2} \left(\frac{\dot{a}}{a} \right)^2 \Omega_m \delta_m = 0$$

$$\delta_m \propto a^{[\sqrt{25-24\Omega_{de}}-1]/4} \approx a^{1-3\Omega_{de}/5}.$$

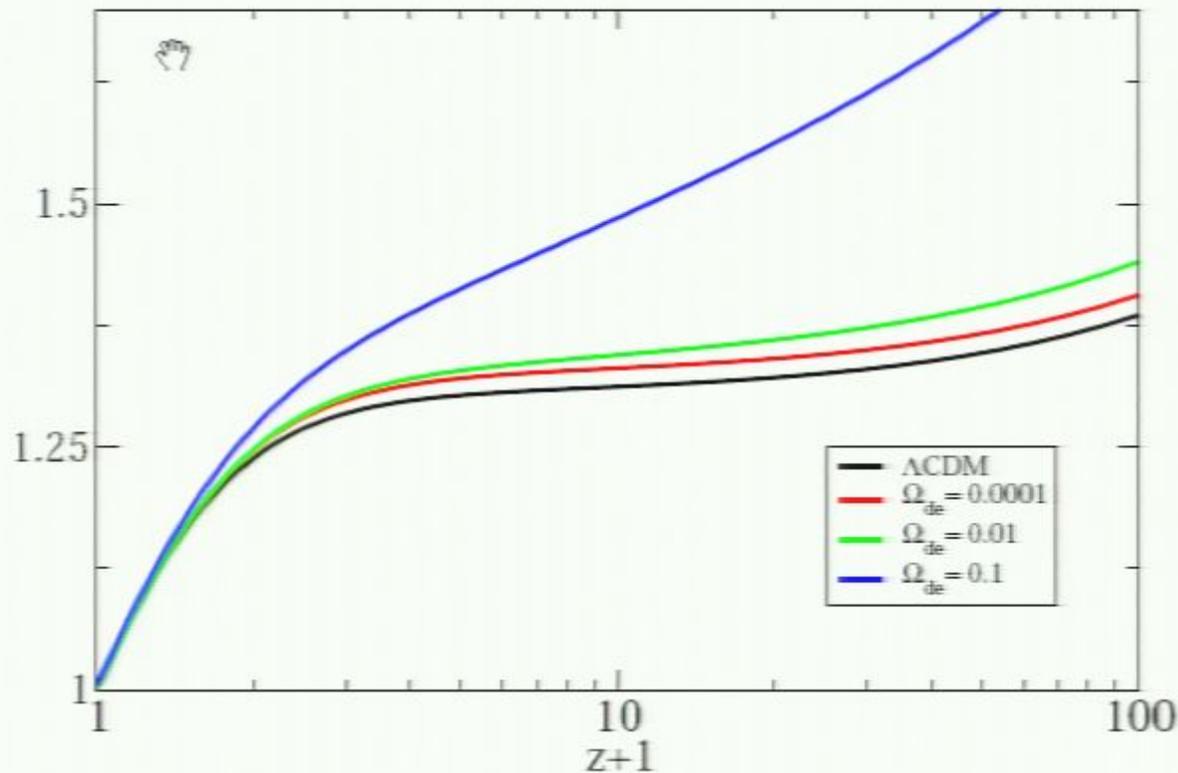
Ly- α -forest

Afshordi et al., astro-ph/0702002



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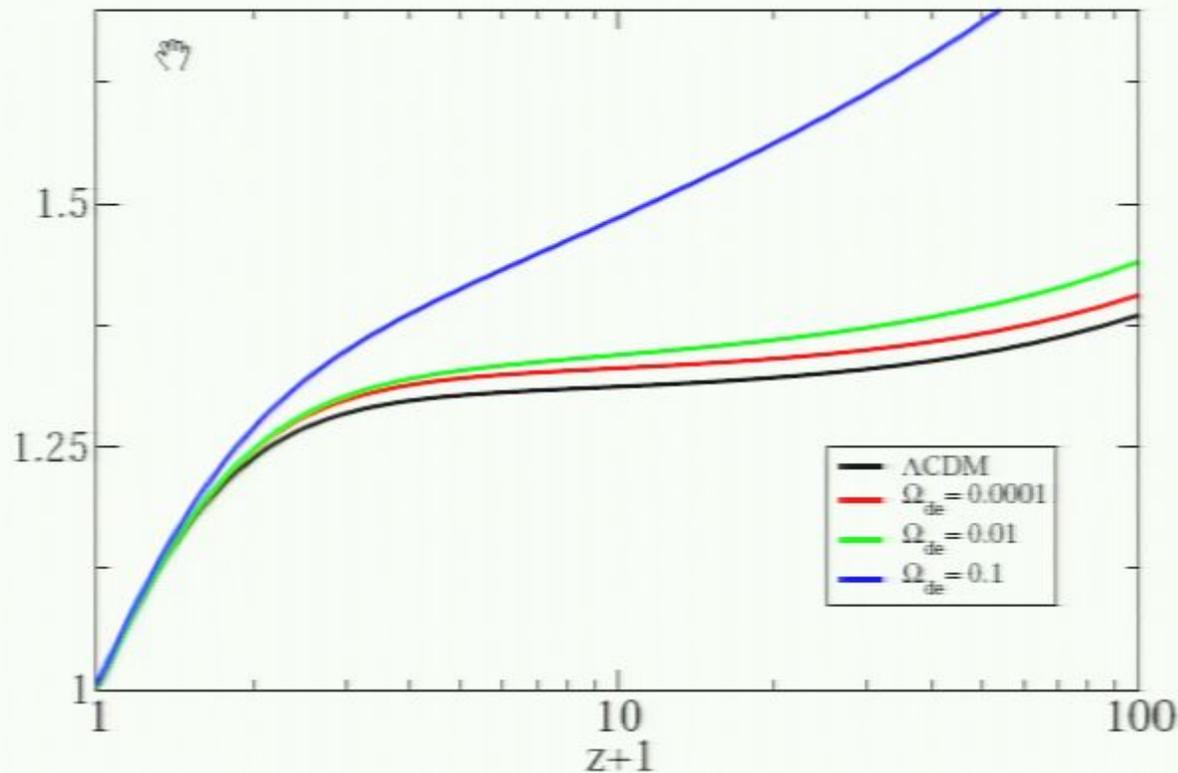
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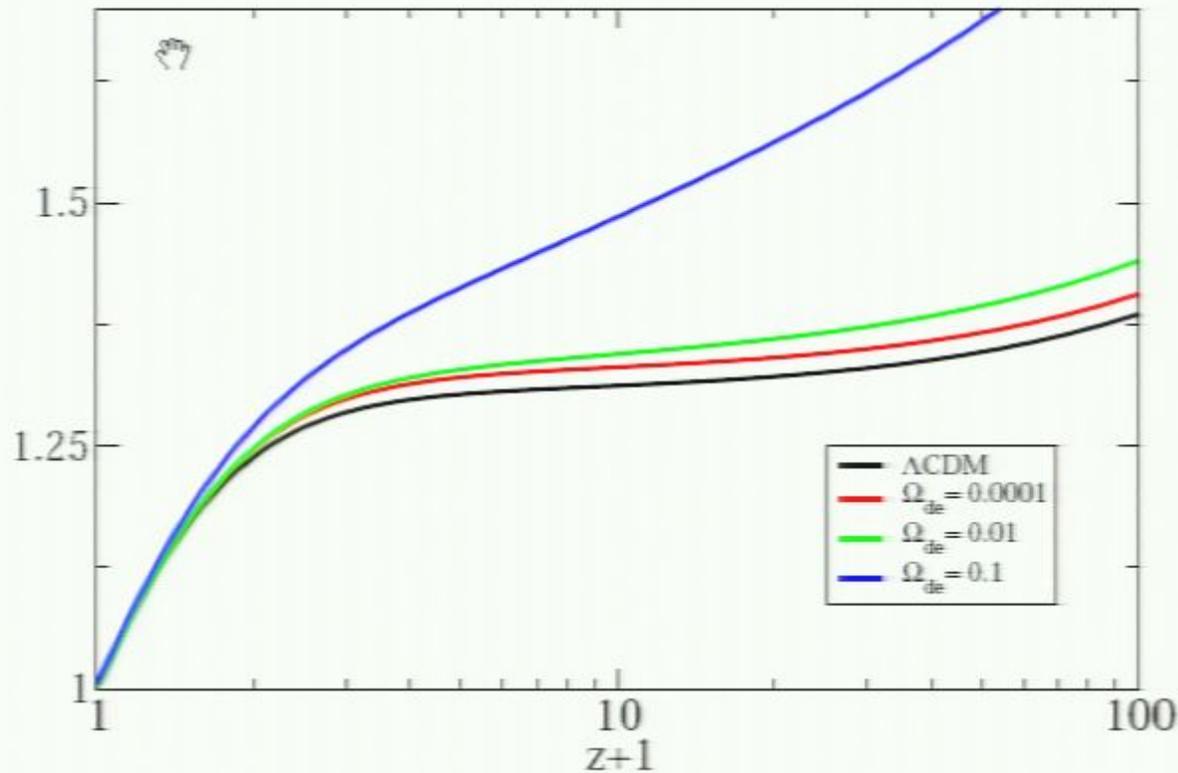
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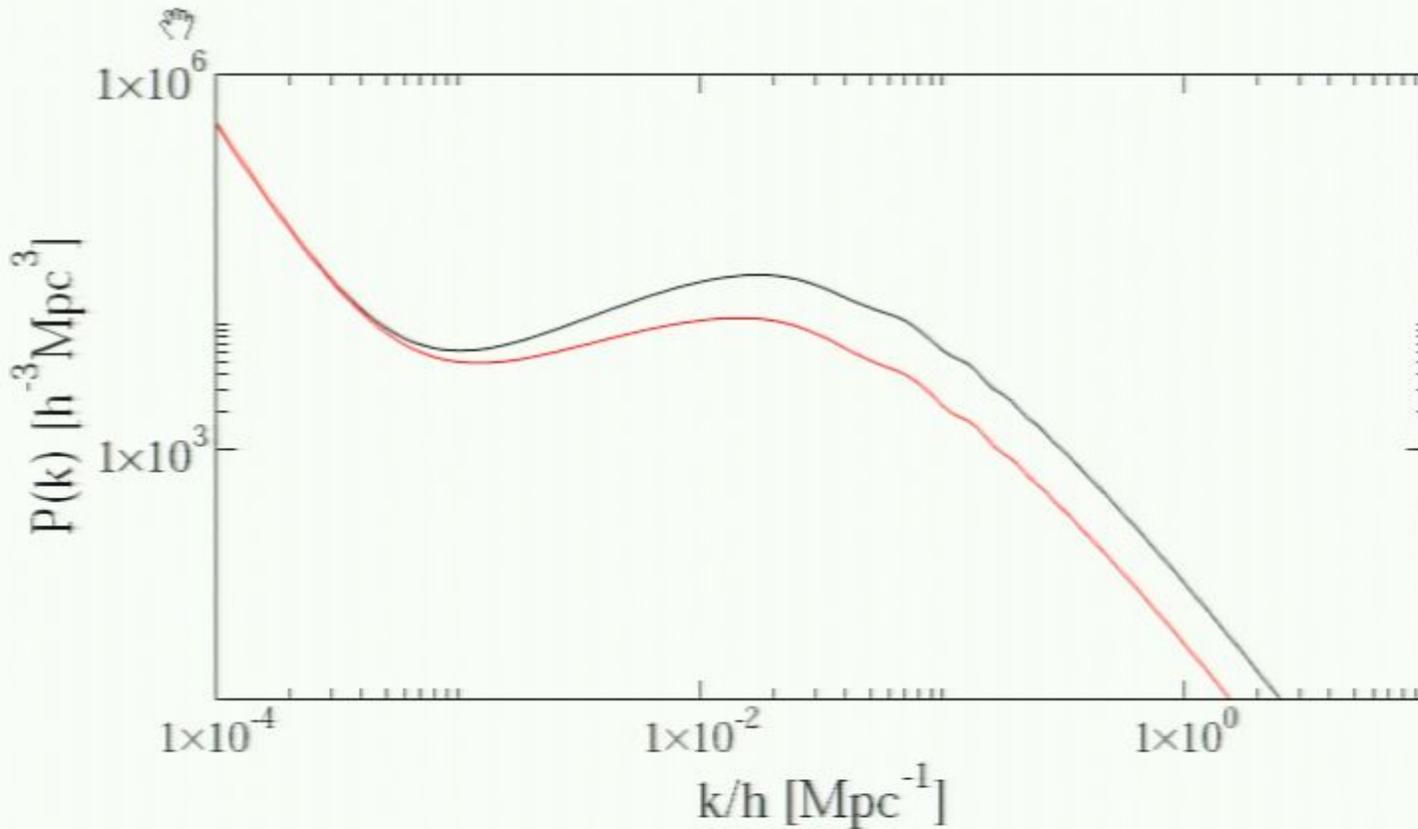


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Ly- α -forest

Afshordi et al., astro-ph/0702002



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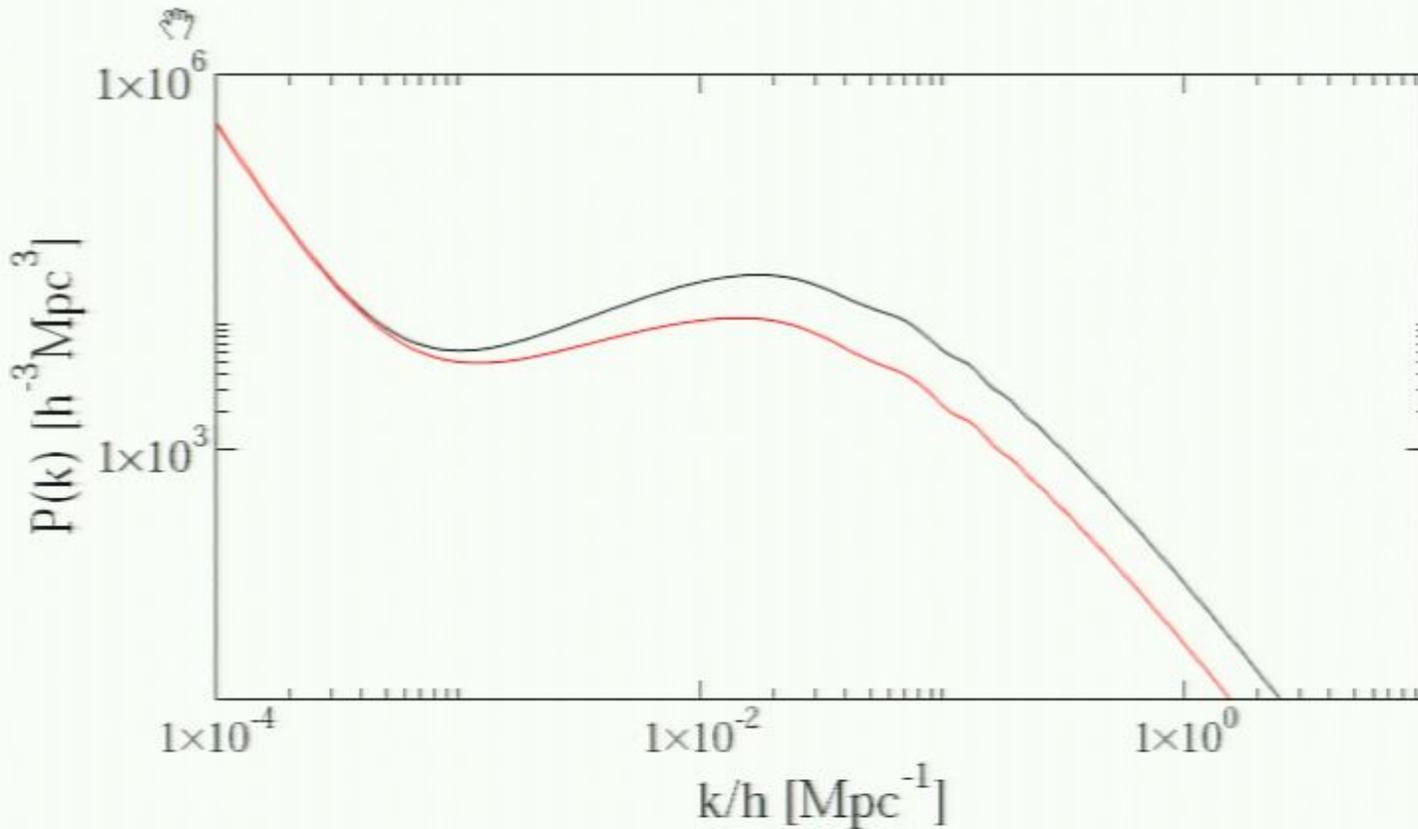
Nonlinear structure

spherical collapse model

Bartelmann et al, 2005

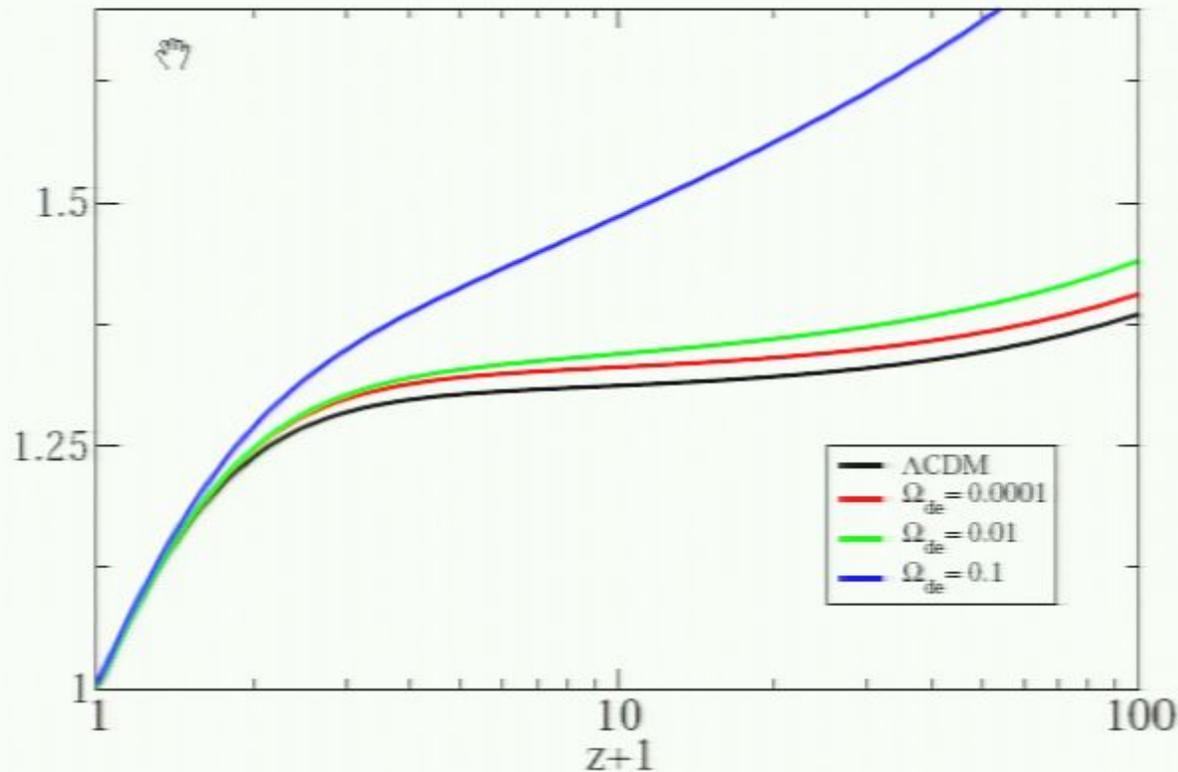
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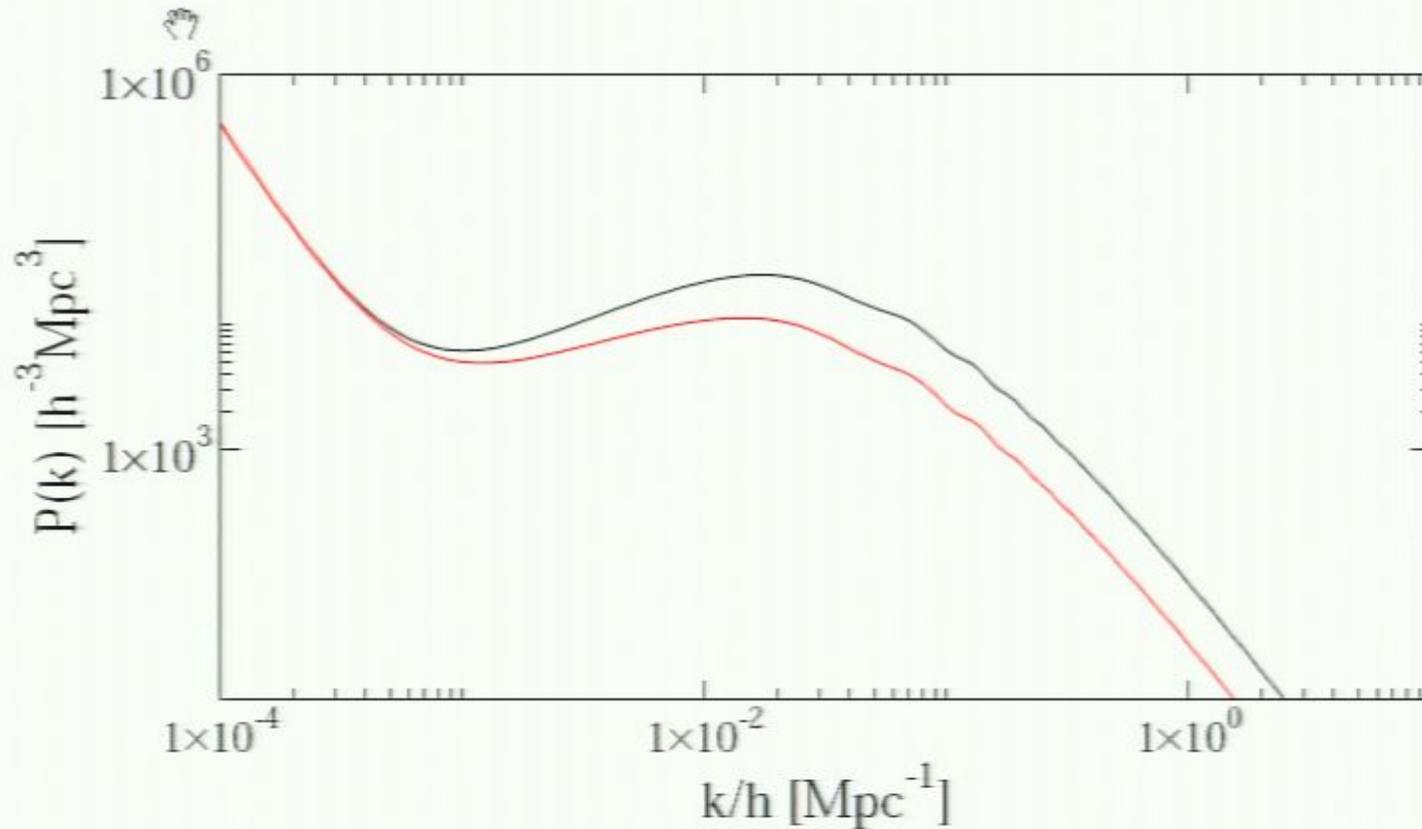


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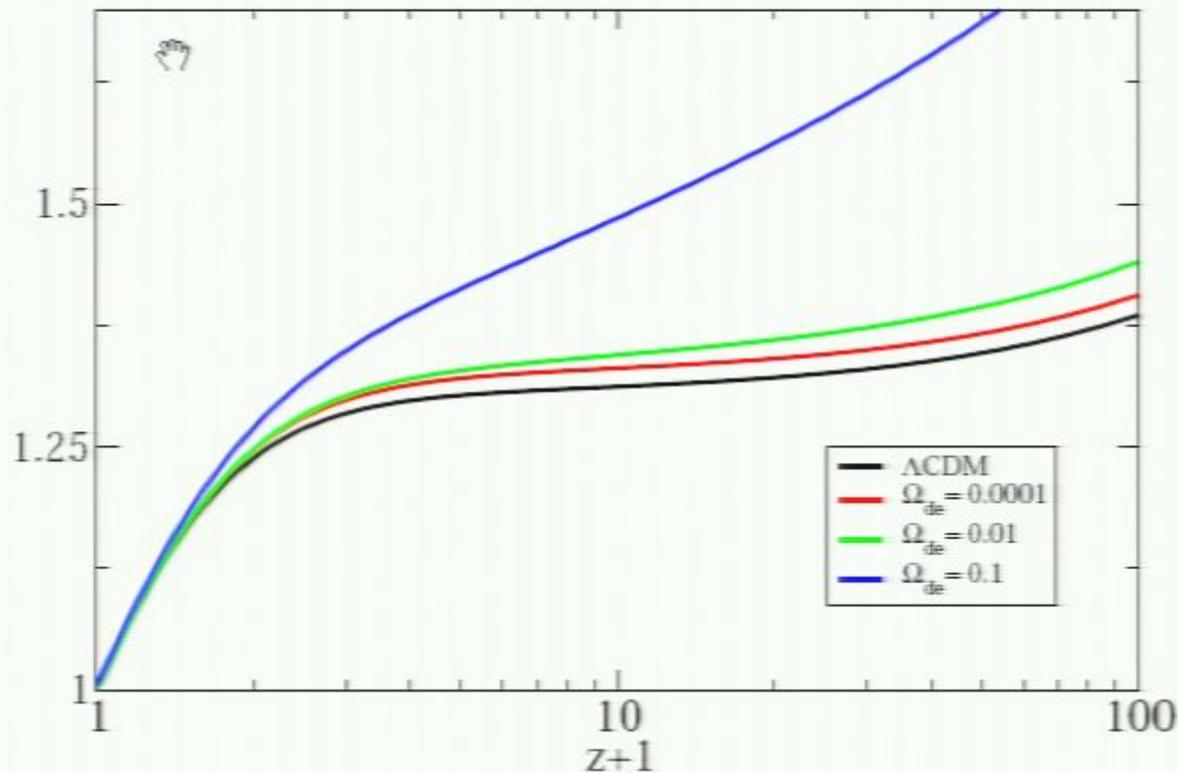
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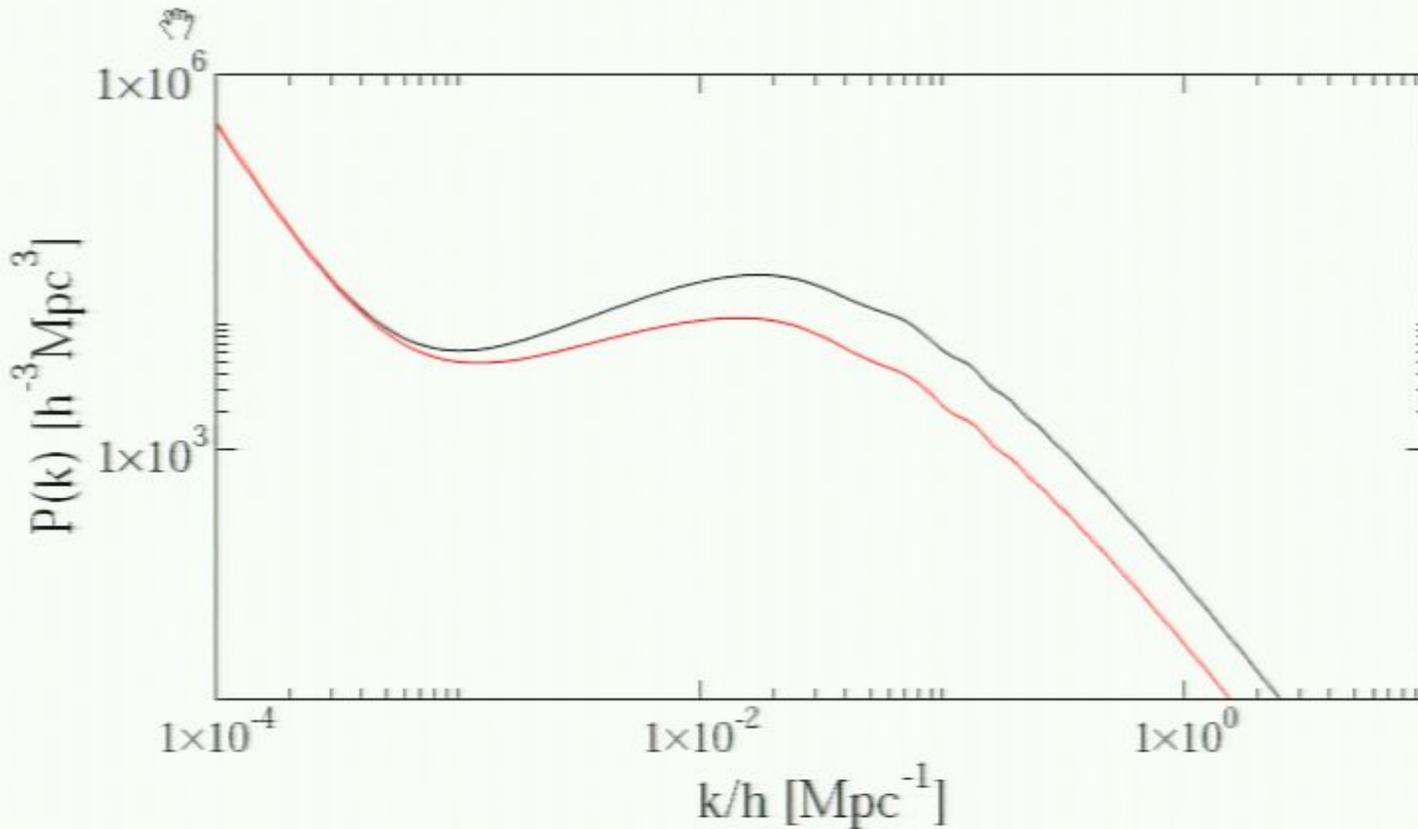


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Bartelmann et al, 2005

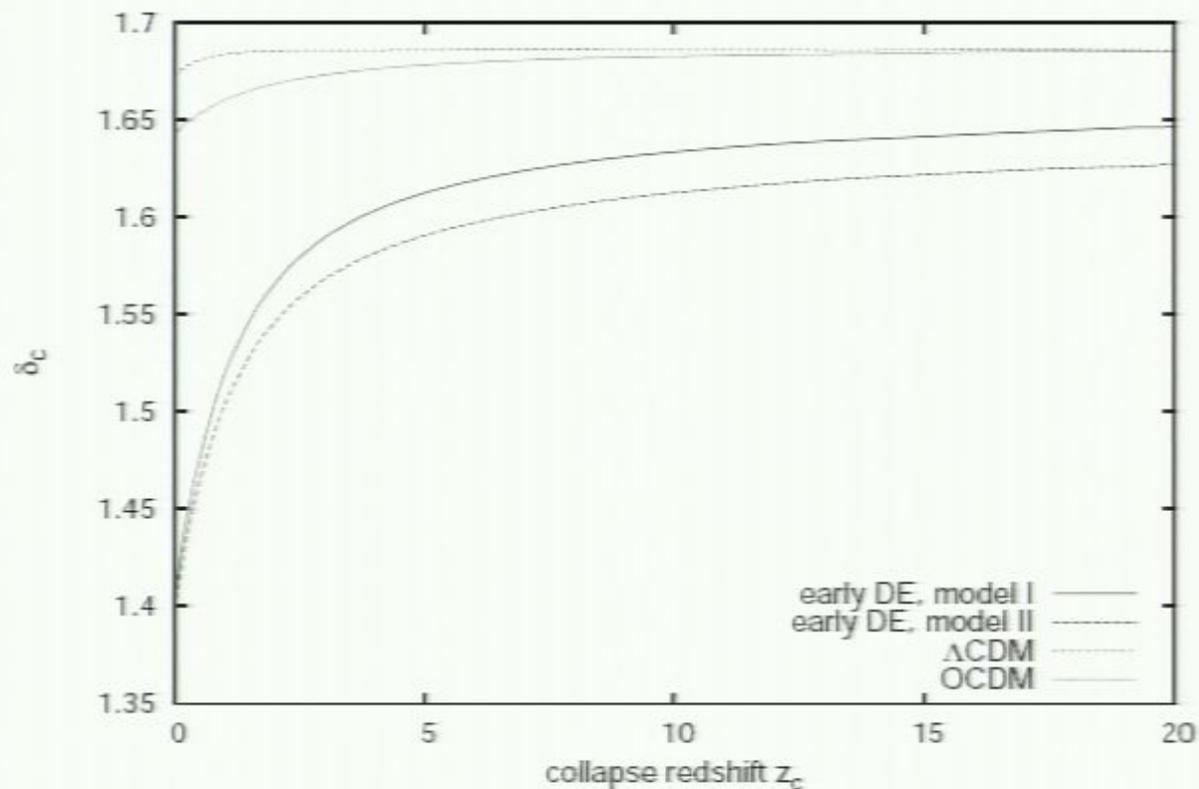
Nonlinear structure

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Bartelmann et al, 2005

analytic estimate of linear density contrast at collapse time, δ_c

canonical value $\delta_c = 1.686$



Nonlinear structure Bartelmann et al. '05

Consequences:

- halos are more concentrated (since they form earlier)
- number density of massive halos today: galaxy-sized: about the same, cluster-sized 40% higher than in Λ CDM
- prediction for thermal Sunyaev-Zel'dovich surveys: *Planck* should find about $10\times$ more clusters above redshift one than in a Λ CDM-universe

Planck SZ cluster sample J.-C. Waizmann et al, '08



Parameter	Λ CDM	EDE2	EDE3	EDE4
Ω_m	0.265	0.364	0.284	0.282
Ω_{DE}	0.735	0.636	0.716	0.718
$\bar{\Omega}_{DE,sf}$	-	0.04	0.033	0.048
h	0.71	0.62	0.686	0.684
σ_8	0.8	0.78	0.715	0.655
n_s	0.948	0.99	0.978	0.976
w_0	-1	-0.99	-0.942	-0.934





N-body simulations

N-body simulation results

Francis et al., '08

- non-linear large scale structure (including abundance of clusters)
relatively insensitive to presence of EDE

N-body simulation results Grossi & Springel, arXiv:0809.3404

- somewhat higher mass resolution than Francis et al., '08

Conclusions

- $\Omega_{de}^{sf} \lesssim$ few percent
- changes scale of “standard” rulers
- expected signatures in nonlinear structure formation
- not seen by nbody simulations
- future prospect: probe linear growth (ISW, b-modes...)