

Title: Physics Wiki (IT tools for Science)

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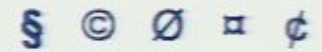
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Abstract: A wiki is an excellent tool for organizing and representing human knowledge. By building a personal wiki notebook, a scientific researcher may optimally organize past and current research notes. In this brief practical introduction I will provide a guided tour of an open scientific notebook -- physicswiki.org -- and discuss the design considerations, features, and content of this open source wiki.

Advantages of a Wiki

- natural concept organization
 - many interlinked concepts
 - ideal for research notes (rapid editing)
- educational tool
 - deep definitions
- open source science
 - or private notebook
 - collaboration
 - portable

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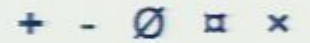
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- Make Text Smaller ⌘-
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Advantages of a Wiki

\noindent

The building blocks of the standard model and gravity are fields over a four dimensional base manifold. The electroweak fields are described by Lie algebra valued connection 1-forms,

SS

$$\mathbf{W} \in \mathfrak{su}(2) \quad \mathbf{B} \in \mathfrak{u}(1) \quad \mathbf{g} \in \mathfrak{su}(3)$$

SS

while the gravitational fields are described by the spin connection,

SS

$$\boldsymbol{\omega} \in \mathfrak{so}(3,1) = \mathfrak{Cl}^1(3,1)$$

SS

a Clifford bivector valued 1-form, and the frame, $\mathbf{e} \in \mathfrak{Cl}^1(3,1)$, a Clifford vector valued 1-form. The frame may be used to represent a multiplet of Higgs scalar fields, ϕ , to interact with the electroweak gauge fields and fermions to give them masses. The fermions are represented as Grassmann valued spinor fields, ψ_e, ψ_u, \dots , with the spin connection and gauge fields acting on them in fundamental representations. The electroweak \mathbf{W} acts on doublets of left chiral fermions, ψ_{ν}, ψ_e ; the strong \mathbf{g} acts on triplets of red, green, and blue colored quarks, $\psi_u^r, \psi_u^g, \psi_u^b$; the electroweak \mathbf{B} acts on all with an interesting pattern of hypercharges. The left and right chiral parts of the gravitational connection, $\boldsymbol{\omega}$, act on the frame and on the left and right chiral fermions. This structure, depicted in Figure \ref{fig:fermions}, shows the structure over three generations of fermions with different masses.

This diverse collection of fields in various algebras and representations is, inarguably, a mess. It is difficult at first to believe that all these fields can be unified as aspects of a unique mathematical structure -- but they can. The gauge fields are known to combine naturally as a grand unified theory with a larger Lie group, and we continue with unification in this spirit. The spin connection, frame, and fermions may be viewed as Lie algebra elements and included as parts of a "graviweak" connection. Relying on the algebraic structure of the Lie groups, the fermions may also be recast as Lie algebra elements and included naturally as parts of a BRST extended connection. \cite{Lisi,Holt} The result of this program is a single principal bundle connection with everything,

\begin{equation}

\begin{array}{l}

$$\mathbf{A} = \frac{1}{4} \boldsymbol{\omega} + \mathbf{e} \phi + \mathbf{B} + \mathbf{W} + \mathbf{g} + \psi_{\nu} \psi_e \psi_u \psi_d$$

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This diverse collection of fields in various algebras and representations is, inarguably, a mess. It is difficult at first to believe that all these fields can be unified as aspects of a unique mathematical structure -- but they can. The gauge fields are known to combine naturally as a grand unified theory with a larger Lie group, and we continue with unification in this spirit. The spin connection, frame, and fermions are viewed as Lie algebra elements and included as parts of a "graviweak" connection. Relying on the algebraic structure of the Lie groups, the fermions may also be recast as Lie algebra elements and included naturally as parts of a BRST extended connection. The result of this program is a single principal bundle connection with everything,

\begin{equation}

\begin{array}{lcl}

$$\mathbf{A} = \frac{1}{4} \boldsymbol{\omega} + \mathbf{e} \phi + \mathbf{B} + \mathbf{W} + \mathbf{g} + \begin{bmatrix} \psi_u \\ \psi_d \end{bmatrix} \bigg| \bigg| + \begin{bmatrix} \psi_u^r \\ \psi_u^g \\ \psi_u^b \end{bmatrix} \bigg| \bigg| + \begin{bmatrix} \psi_e \\ \psi_\mu \\ \psi_\tau \end{bmatrix} \bigg| \bigg|$$

a Clifford algebra valued 1-form, and the frame, $S\{e\}$ in \mathbb{R}^4 , a Clifford vector valued 1-form. The frame may be a multiplet of Higgs scalar fields, $S\{\phi\}$, to interact with the electroweak gauge fields and fermions to give them masses. They are represented as Grassmann valued spinor fields, $S\{\psi\}$, with the spin connection and gauge connection on them in fundamental representations. The electroweak $S\{W\}$ acts on doublets of left chiral fermions, $S\{\psi\}$; the strong $S\{g\}$ acts on triplets of red, green, and blue colored quarks, $S\{\psi\}$; the electroweak $S\{B\}$ acts on all with an interesting pattern of hypercharges. The left and right chiral parts of the gravitational connection, $S\{\omega\}$, act on the frame and on the left and right chiral fermions. This structure, depicted in Figure \ref{fig:fermions}, over three generations of fermions with different masses.

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```
\begin{equation}
\begin{array}{l}
\mathcal{A} = \frac{1}{4} \omega^{\mu\nu} e_{\mu} \otimes e_{\nu} + B + W + g + \psi \otimes \bar{\psi} \\
+ \frac{1}{2} \psi \otimes \bar{\psi} + \frac{1}{2} \psi \otimes \bar{\psi} + \frac{1}{2} \psi \otimes \bar{\psi} \\
+ \frac{1}{2} \psi \otimes \bar{\psi} + \frac{1}{2} \psi \otimes \bar{\psi} + \frac{1}{2} \psi \otimes \bar{\psi}
\end{array}
\end{equation}
\label{bigA}
```

In this connection the bosonic fields, such as the strong $S\{g\} = \omega^{\mu\nu} g_{\mu\nu} \otimes T_A$, are Lie algebra valued 1-forms, and the fermionic fields, such as $S\{\psi\} = \psi \otimes T_A$, are Lie algebra valued Grassmann numbers. (These Grassmann fields may be ghosts of former gauge fields, or accepted a priori as parts of this superconnection.)

The dynamics are described by the curvature,

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+ \big( \ud{\nu}{}_{\mu} + \ud{\mu} + \ud{c} + \ud{s} \big)
+ \big( \ud{\nu}{}_{\tau} + \ud{\tau} + \ud{t} + \ud{b} \big)
\end{array}
\label{bigA}
\end{equation}
```

In this connection the bosonic fields, such as the strong $\mathcal{V}(g)=\mathcal{V}(dx^i) g_i^{\mathcal{A}} T_{\mathcal{A}}$, are Lie algebra valued 1-forms, and the fermionic fields, such as $\mathcal{U}(u) = \mathcal{U}(u)^{\mathcal{A}} T_{\mathcal{A}}$, are Lie algebra valued Grassmann numbers. (These Grassmann fields may be considered ghosts of former gauge fields, or accepted a priori as parts of this superconnection.)

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The building blocks of the standard model and gravity are fields over a four dimensional base manifold. The electroweak and strong gauge fields are described by Lie algebra valued connection 1-forms,

$$\underline{W} \in \underline{su}(2) \quad \underline{B} \in \underline{u}(1) \quad \underline{g} \in \underline{su}(3)$$

while the gravitational fields are described by the spin connection,

$$\underline{\omega} \in \underline{so}(3, 1) = \underline{Cl}^2(3, 1)$$

a Clifford bivector valued 1-form, and the frame, $\underline{e} \in \underline{Cl}^1(3, 1)$, a Clifford vector valued 1-form. The frame may be combined with a multiplet of Higgs scalar fields, ϕ , to interact with the electroweak gauge fields and fermions to give them masses. The fermions are represented as Grassmann valued spinor fields, $\{\nu_e, e, u, \dots\}$, with the spin connection and gauge fields acting on them in fundamental representations. The electroweak \underline{W} acts on doublets of left chiral fermions, $\{[\nu_{eL}, e_L], \dots\}$; the strong \underline{g} acts on triplets of red, green, and blue colored quarks, $\{[u^r, u^g, u^b], \dots\}$; and the electroweak \underline{B} acts on all with an interesting pattern of hypercharges. The left and right chiral parts of the gravitational spin connection, $\underline{\omega}$, act on the frame and on the left and right chiral fermions. This structure, depicted in Figure ref{ptsm}, is repeated over three generations of fermions with different masses.

This diverse collection of fields in various algebras and representations is,

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interesting pattern of hypercharges. The left and right chiral parts of the gravitational spin connection, $\underline{\omega}$, act on the frame and on the left and right chiral fermions. This structure, depicted in Figure ref{ptsm}, is repeated over three generations of fermions with different masses.

This diverse collection of fields in various algebras and representations is, inarguably, a mess. It is difficult at first to believe they can be unified as aspects of a unique mathematical structure — but they can. The gauge fields are known to combine naturally as the connection of a grand unified theory with a larger Lie group, and we continue with unification in this spirit. The spin connection, frame, and Higgs may be viewed as Lie algebra elements and included as parts of a "graviweak" connection. Relying on the algebraic structure of the exceptional Lie groups, the fermions may also be recast as Lie algebra elements and included naturally as parts of a BRST extended connection.cite{Lisi,Holt} The result of this program is a single principal bundle connection with everything,

$$\begin{aligned} \underline{A} = & \frac{1}{2}\underline{\omega} + \frac{1}{4}\underline{e}\phi + \underline{B} + \underline{W} + \underline{g} + \\ & + (\nu_e + e + u + d) + (\nu_\mu + \mu + c + s) + (\nu_\tau + \tau + t + b) \end{aligned} \quad (\text{bigA})$$

In this connection the bosonic fields, such as the strong $\underline{g} = d\underline{x}^i g_i^A T_A$, are Lie algebra valued 1-forms, and the fermionic fields, such as $\underline{u} = u^A T_A$, are Lie algebra valued Grassmann numbers. (These Grassmann fields may be considered ghosts of former gauge fields, or accepted a priori as parts of this superconnection.)

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\begin{equation}
\begin{array}{rcl}
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& + & \frac{1}{4} (\psi_L^2 + \psi_R^2 + \psi^2 + \psi^2) \\
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\end{array}
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superconnection

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[An Exceptionally Simple Theory of Everything, This Week's Finds 253, piece of paper, the big picture](#)

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1-form

A **1-form**, or **cotangent vector**, \underline{f} , is a geometric object that acts on a **tangent vector** at a point, p , to give a real number. It may be written in terms of the **coordinate basis 1-forms** as

$$\underline{f} = f_i d\underline{x}^i \in T_p^* M$$

It is a linear operator, and so may be written as a function of a vector or more simply as a **vector-form contraction** (product),

$$\underline{f}(\vec{v}) = \mathbf{i}_{\vec{v}} \underline{f} = \vec{v} \underline{f} = v^j f_i \vec{\partial}_j d\underline{x}^i = v^j f_i \delta_j^i = v^i f_i \in \mathbb{R}$$

The vector space of **1-forms** at each point, p , of a **manifold**, M , is the **cotangent space**, $T_p^* M$, and is spanned

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An Exceptionally Simple Theory of Everything, Grassmann number, Lie group geometry, Lorentz rotation, Symbols, This Week's Finds 253, connection, coordinate basis 1-forms, coordinate change, cotangent bundle, covariant derivative, differential form, frame, left-right rotator, natural, superconnection, vector projection onto a section, vector-form algebra, wedge product

tangent vector



The **velocity**, or **tangent vector**, \vec{v} , with respect to some parameter, t , of a **path**, $c(t)$, at a point is defined via the **directional derivative** of a **function**, $f(x)$, along the path,

$$\left. \frac{df(c(t))}{dt} \right|_{t=0} = \left. \frac{dc^i(t)}{dt} \right|_{t=0} \left. \frac{\partial f}{\partial x^i} \right|_{c(0)} = v^i \left. \frac{\partial}{\partial x^i} [f] \right|_{c(0)} = \vec{v}[f]$$

A tangent vector, or simply "**vector**", can also be visualized in the pseudo-Euclidean embedding space containing the manifold. For a manifold parameterized by coordinates, the **coordinate basis vectors** are

$$\vec{\partial}_i = \frac{\partial}{\partial x^i} = \frac{\partial \vec{p}}{\partial x^i} = \partial_i \vec{p}$$

with the parameterized manifold points, $\vec{p}(x)$, vectors from some arbitrary origin in the flat embedding space.

A vector at a point, p , may be written in terms of coordinate basis vectors,



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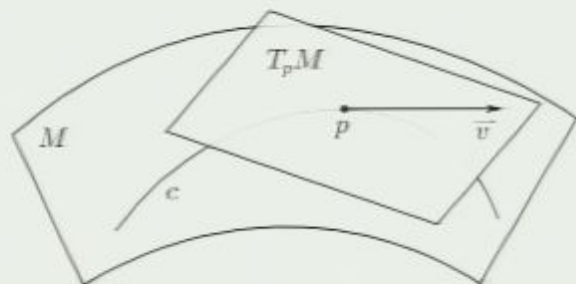
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The space of all tangent vectors to a **manifold**, M , at a point, p , is a **vector space**, $T_p M$, the **tangent space** to M at p .

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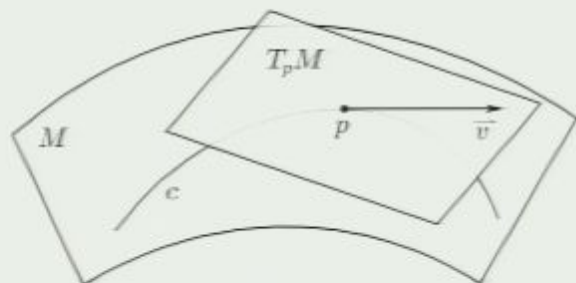
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Chern-Simons form

A **Chern-Simons form**, $\omega_{\sim p}$, is a grade p **differential form** defined (for odd p) to satisfy

$$d\omega_{\sim p} = \text{Tr} \left(\underline{F}^{\frac{p+1}{2}} \right)$$

in which $\underline{F} = d\underline{A} + \underline{A}\underline{A}$ is the **curvature** for some **principal bundle connection**, \underline{A} . The first few Chern-Simons forms are

$$\omega_{\sim 1} = \text{Tr} \left(\underline{A} \right)$$

$$\omega_{\sim 3} = \text{Tr} \left(\underline{F}\underline{A} - \frac{1}{3} \underline{A}\underline{A}\underline{A} \right)$$

$$\omega_{\sim 5} = \text{Tr} \left(\underline{F}\underline{F}\underline{A} - \frac{1}{2} \underline{F}\underline{A}\underline{A}\underline{A} + \frac{1}{10} \underline{A}\underline{A}\underline{A}\underline{A}\underline{A} \right)$$

$$\omega_{\sim 7} = \text{Tr} \left(\underline{F}\underline{F}\underline{F}\underline{A} + ? \underline{F}\underline{F}\underline{A}\underline{A}\underline{A} + ? \underline{F}\underline{A}\underline{A}\underline{A}\underline{A}\underline{A} + ? \underline{A}\underline{A}\underline{A}\underline{A}\underline{A}\underline{A} \right)$$

The **integral** of a Chern-Simons p -form over a p dimensional **manifold** is a homotopy invariant called the **Chern number**,

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curvature

The curvature is perhaps the most important object characterizing the local geometry of a **fiber bundle** and **connection**. Its expression and action depends on the action of the structure group. Taking, for example, the structure group to act from the left, the **curvature** is then a local, **Lie algebra** (of the structure group) valued **2-form** defined as

$$\begin{aligned}
 \underline{F}(x) &= \frac{1}{2} dx^i dx^j F_{ij}^B T_B \\
 &= dA + AA \\
 &= dA + A \times A \\
 &= dA + \frac{1}{2} [A, A]
 \end{aligned}$$

The curvature coefficients are

$$F_{ij}^C = \partial_i A_j^C - \partial_j A_i^C + A_i^A A_j^B C_{AB}^C$$

in which C_{AB}^C are the **structure constants**.

The curvature is most intuitively derived in terms of the **holonomy** of infinitesimal loops.

It may also be derived by applying the **covariant derivative** twice to any fiber bundle section,

$$\nabla\nabla C = (d + A)(d + A)C = ddC + dAC + AdC + AAC = (dA + AA)C = \underline{F}C$$

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$$\begin{aligned}\underline{F}(x) &= \frac{1}{2} d\underline{x}^i d\underline{x}^j F_{ij}{}^B T_B \\ &= d\underline{A} + \underline{A}\underline{A} \\ &= d\underline{A} + \underline{A} \times \underline{A} \\ &= d\underline{A} + \frac{1}{2} [\underline{A}, \underline{A}]\end{aligned}$$

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The curvature changes under **gauge transformations**, $C \mapsto C' = gC$, as $\underline{F} \mapsto \underline{F}' = g\underline{F}g^{-1}$.

Note again that the expression of the curvature, and its action, depends on the form of the group action.

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$$A = dx^i A_i^B(x) T_B$$

with the appropriate action on the fiber elements. Using this connection, the **covariant derivative** of a section, $\sigma(x)$, (valued in the fiber) is

$$\nabla \sigma = d\sigma + A\sigma = dx^i \left(\partial_i \sigma + A_i^B T_B \sigma \right)$$

in which the Lie algebra basis elements, T_B , act on the fiber. The connection changes under a **gauge transformation** so as to keep this derivative covariant.

An Exceptionally Simple Theory of Everything, BRST speculation, Chern-Simons form, Discussion, Ehresmann connection, Ehresmann principal bundle connection, Geometry of Yang-Mills theory, Plan of attack (old), Symbols, This Week's Finds 253, Unification (old), automorphism bundle, covariant derivative, curvature, fiber bundle, gauge transformation, holonomy, parallel transport, path holonomy, principal bundle, superconnection, talk for FQXi 07, talk for Loops 07, talk for UCD 08, tangent bundle, parallel transport, vector bundle connection, vector bundle parallel transport

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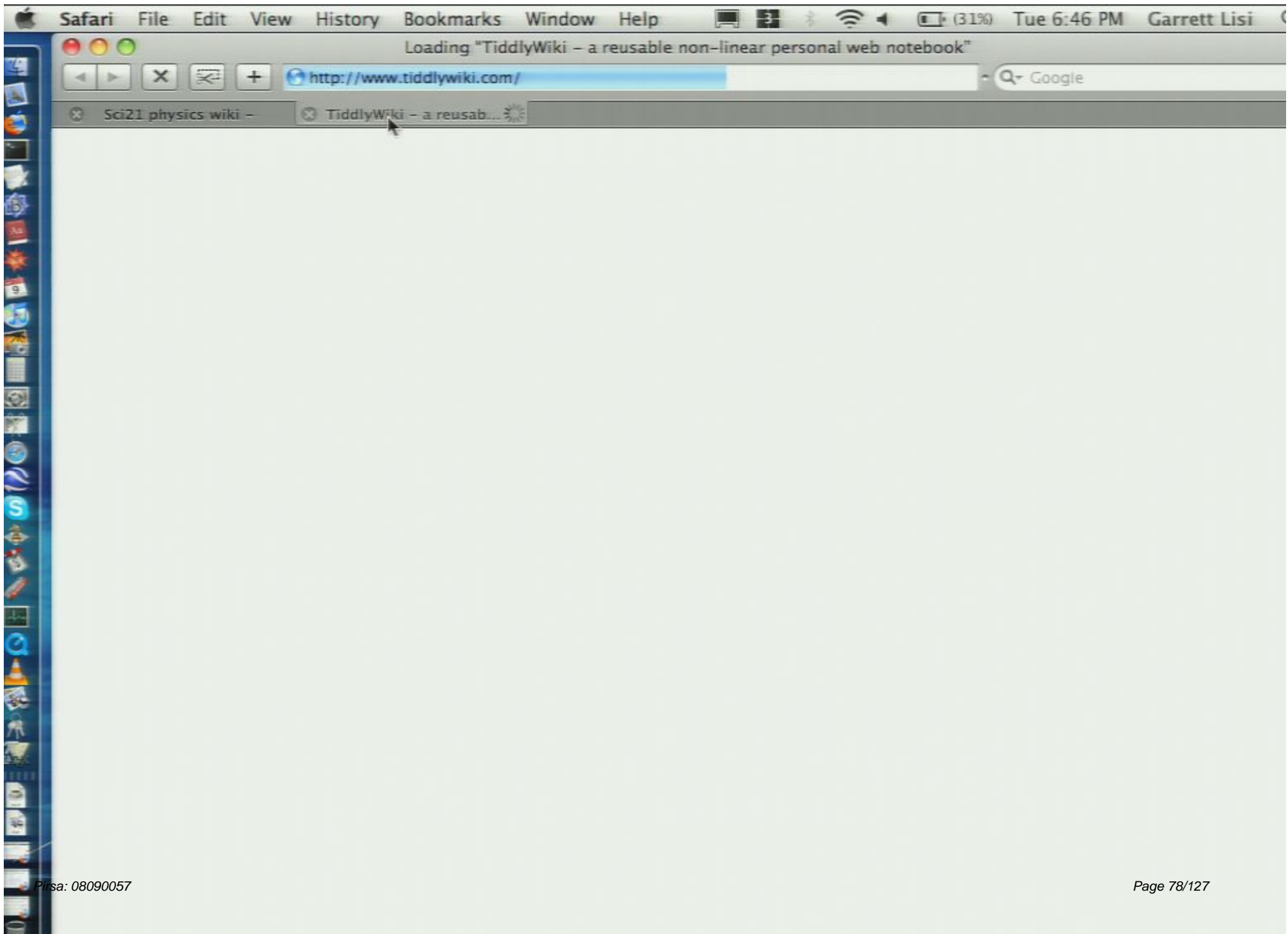
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TiddlyWiki

a reusable non-linear personal web notebook

[HelloThere](#)[Features](#)[Examples](#)[Download](#)[Getting Started](#)[Customisation](#)[Help and Support](#)[RSS](#)[TiddlyWiki 2.4.1](#)[© 2008 UnaMesa](#)

HelloThere

Welcome to [TiddlyWiki!](#)

TiddlyWiki is a single html file which has all the characteristics of a [wiki](#) - including all of the content, the functionality (including editing, saving, tagging and searching) and the style sheet. Because it's a single file, it's very portable - you can email it, put it on a web server or share it via a [USB stick](#).

But it's not just a wiki! It has very powerful plugin capabilities, so it can also be used to build new tools. You have full control over how it looks and behaves. For example, TiddlyWiki is already being used as:

- A personal notebook
- A GTD ("Getting Things Done") productivity tool
- A collaboration tool
- For building websites (this site is a TiddlyWiki file!)
- For rapid prototyping
- ...and much more!

You can import and export data to and from all sorts of places. Check out some of the [Examples](#) of TiddlyWiki in use, and the [Features](#) that are available.

You can see the web functionality of TiddlyWiki by clicking on some of the [links](#) on this website. Double click some of the text to see 'edit mode'. For the full range of functions, including editing and saving changes, download and install a copy of the basic version and then follow the guidelines in [Getting Started](#). Have fun!

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A **connection** completely encodes the local geometry of a **fiber bundle**. Specifically, it describes how the local trivializations change as one moves around on the base manifold. The group of these changes is the same as the structure group, G , of the fiber bundle. From any point, the infinitesimal change of a local trivialization when moving in any direction is described by the operation of a **Lie algebra** element. These changes may be described via a **Lie algebra** valued **1-form** over the base, the connection,

$$\underline{A} = dx^i A_i{}^B(x) T_B$$

with the appropriate action on the fiber elements. Using this connection, the **covariant derivative** of a section, $\sigma(x)$, (valued in the fiber) is

$$\nabla \sigma = d\sigma + \underline{A}\sigma = dx^i \left(\partial_i \sigma + A_i{}^B T_B \sigma \right)$$

in which the Lie algebra basis elements, T_B , act on the fiber. The connection changes under a **gauge transformation** so as to keep this derivative covariant.

An Exceptionally Simple Theory of Everything, BRST speculation, Chern-Simons form, Discussion, Ehresmann connection, Ehresmann principal bundle connection, Geometry of Yang-Mills theory, Plan of attack (old), Symbols, This Week's Finds 253, Unification (old), automorphism bundle, covariant derivative, curvature, fiber bundle, gauge transformation, holonomy, parallel transport, path homotopy, principal bundle, superconnection, talk for EOYI 07, talk for Loops 07, talk for LCD 08, tangent bundle

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curvature

The curvature is perhaps the most important object characterizing the local geometry of a **fiber bundle** and **connection**. Its expression and action depends on the action of the structure group. Taking, for example, the structure group to act from the left, the **curvature** is then a local, **Lie algebra** (of the structure group) valued **2-form** defined as

$$\underline{F}(x) = \frac{1}{2} d\mathbf{x}^i d\mathbf{x}^j F_{ij}^B T_B$$

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$$\begin{aligned}\underline{F}(x) &= \frac{1}{2} d\mathbf{x}^i d\mathbf{x}^j F_{ij}{}^B T_B \\ &= d\mathbf{A} + \mathbf{A}\mathbf{A} \\ &= d\mathbf{A} + \mathbf{A} \times \mathbf{A} \\ &= d\mathbf{A} + \frac{1}{2} [\mathbf{A}, \mathbf{A}]\end{aligned}$$

The curvature coefficients are

$$F_{ij}{}^C = \partial_i A_j{}^C - \partial_j A_i{}^C + A_i{}^A A_j{}^B C_{AB}{}^C$$

in which $C_{AB}{}^C$ are the **structure constants**.

The curvature is most intuitively derived in terms of the **holonomy** of infinitesimal loops.

It may also be derived by applying the **covariant derivative** twice to any fiber bundle section,

$$\nabla \nabla C = (d + \mathbf{A})(d + \mathbf{A})C = ddC + d\mathbf{A}C + \mathbf{A}dC + \mathbf{A}\mathbf{A}C = (d\mathbf{A} + \mathbf{A}\mathbf{A})C = \underline{F}C$$

The curvature changes under **gauge transformations**, $C \mapsto C' = gC$, as $\underline{F} \mapsto \underline{F}' = g\underline{F}g^{-1}$.

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tangent vector



The **velocity**, or **tangent vector**, \vec{v} , with respect to some parameter, t , of a **path**, $c(t)$, at a point is defined via the **directional derivative** of a **function**, $f(x)$, along the path,

$$\left. \frac{df(c(t))}{dt} \right|_{t=0} = \left. \frac{dc^i(t)}{dt} \right|_{t=0} \left. \frac{\partial f}{\partial x^i} \right|_{c(0)} = v^i \left. \frac{\partial}{\partial x^i} [f] \right|_{c(0)} =$$

A tangent vector, or simply "**vector**", can also be visualized in the pseudo-Euclidean embedding space containing the manifold. For a manifold parameterized by coordinates, the **coordinate basis vectors** are

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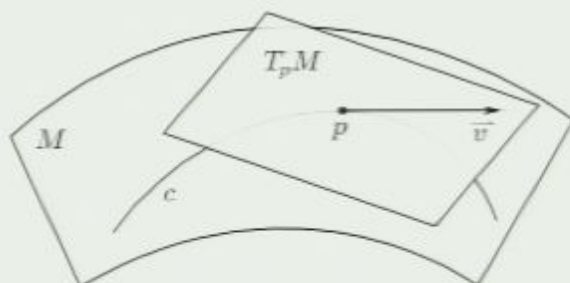
with the parameterized manifold points, $\vec{p}(x)$, vectors from some arbitrary origin in the flat embedding space.



A vector at a point, p , may be written in terms of coordinate basis vectors,

$$\vec{v} = \frac{dc^i(t)}{dt} \vec{\partial}_i = v^i \vec{\partial}_i$$

The real valued quantities, v^i , are the velocity components. (Summation over repeated **indices** is implied)

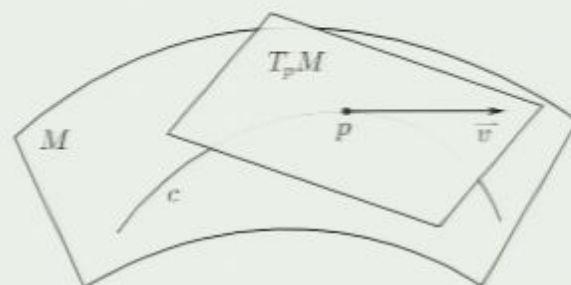


The space of all tangent vectors to a **manifold**, M , at a point, p , is a **vector space**, $T_p M$, the **tangent space** to M at p .

The directional derivative of a function may also be written using the **exterior derivative** and **vector-form algebra** as

$$\vec{v}[f] = \vec{v} df = v^i \partial_i f$$

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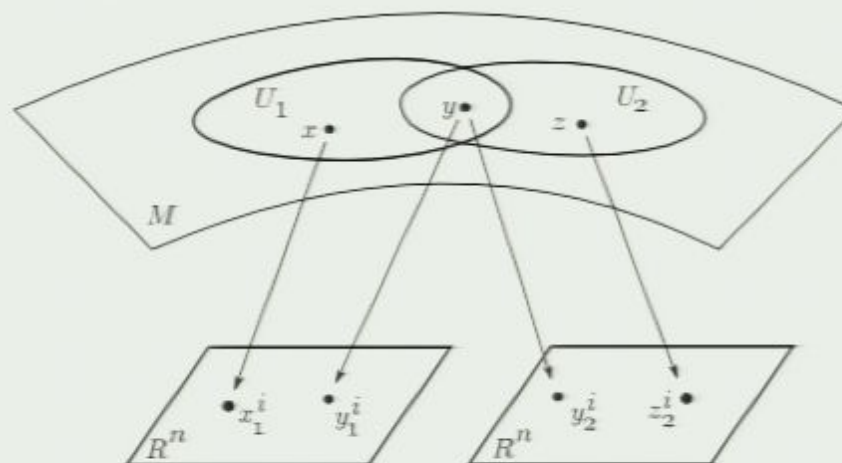
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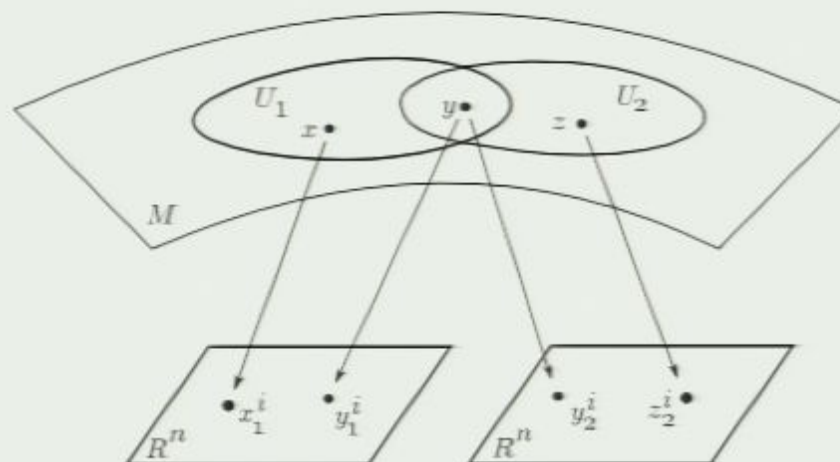
manifold



An oriented n dimensional differentiable **manifold**, M , may be visualized as a curved n dimensional surface embedded in a higher dimensional, pseudo-Euclidean space. A manifold is described mathematically by a collection of coordinate charts (patches), $\{(U_a, x_a)\}$, with the open sets, U_a , labeled by a , covering M , and the coordinates, $x_a : U_a \rightarrow \mathbb{R}^n$, homeomorphic maps into open subsets of \mathbb{R}^n

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such that overlap maps, $x_a \circ x_b^{-1} : \mathbb{R}^n \rightarrow M \rightarrow \mathbb{R}^n$, defined on $x_b(U_a \cap U_b)$, are infinitely differentiable. So, every point, x , on the manifold is labeled by a set of n real **coordinates**, $x_a^i(x)$, in some chart, U_a , with coordinate **indices**, i , typically running from 1 to n or from 0 to $(n - 1)$. In most practical cases the chart label, a , is not written and the coordinates are simply written as x^i with some chart implied.

For more on manifolds, see <http://en.wikipedia.org/wiki/Manifold>

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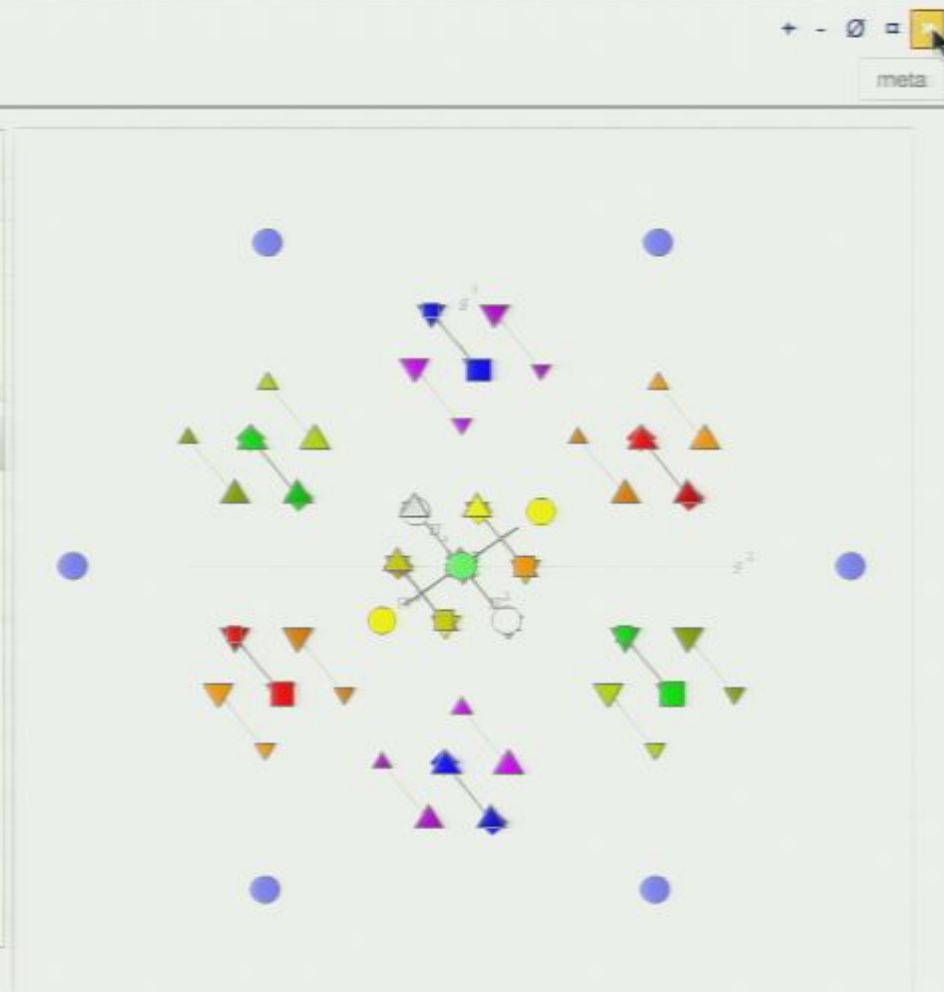
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$\frac{1}{2}\omega_R$	0	0	
W^3	-0.2	-0.14	
B^3	0.11	-0.14	
u	0	0	
B_2	-0.1	0.13	
g^3	0.97	0	
g^8	0	0.97	



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jsMathPlugin

Name	Plugin: jsMath
Created by	BobMcElrath (edited by Garrett)
Email	my first name at my last name dot org
Location	http://bob.mcelrath.org/tiddlyjsmath-2.0.3.html
Version	1.3.g
Requires	TiddlyWiki ≥ 2.1, jsMath ≥ 3.0

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plugin

Description

[LaTeX](#) is the world standard for specifying, typesetting, and communicating mathematics among scientists, engineers, and mathematicians. For more information about LaTeX itself, visit the [LaTeX Project](#). This plugin typesets math using [jsMath](#), which is an implementation of the TeX math rules and typesetting in javascript, for your browser. Notice the small button in the lower right corner which opens its control panel.

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In addition to this plugin, you must also [install jsMath](#) on the same server as your TiddlyWiki html file. If you're using TiddlyWiki without a web server, then the jsMath directory must be placed in the same location as the TiddlyWiki html file.

Examples

Source	Output
The variable x is real.	The variable x is real.
The variable y is complex.	The variable y is complex.
This $\int_a^b x = \frac{1}{2}(b^2 - a^2)$ is an easy integral.	This $\int_a^b x = \frac{1}{2}(b^2 - a^2)$ is an easy integral.
This $\frac{1}{2}(b^2 - a^2)$ is an easy integral.	This $\frac{1}{2}(b^2 - a^2)$ is an easy integral.

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[Version|1.3.g]
[Requires|[[TiddlyWiki|http://www.tiddlywiki.com]] &ge; 2.1, [[jsMath|http://www.math.union.edu/~dpvc/jsMath/]] &ge; 3.0]
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!Examples
!Source!Output|h
{{{The variable $x$ is real.}}}The variable $x$ is real.|
{{{The variable \{y\} is complex.}}}The variable \{y\} is complex.|
{{{This \int_a^b x = \frac{1}{2}(b^2-a^2)\} is an easy integral.}}}This \int_a^b x = \frac{1}{2}(b^2-a^2)\} is an easy integral.|
{{{This $$\int_a^b \sin x = -(\cos b - \cos a)$$ is another easy integral.}}}This $$\int_a^b \sin x = -(\cos b - \cos a)$$ is another easy integral.|
{{{Block formatted equations may also use the 'equation' environment \begin{equation} \int \tan x = -\ln |\cos x| \end{equation} }}}Block formatted equations may also use the 'equation' environment \begin{equation} \int \tan x = -\ln |\cos x| \end{equation}}

```

tags: separated by spaces, using [[double square brackets]] if necessary

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!Examples
!Source!Output|h
{{{The variable $x$ is real.}}}The variable $x$ is real.
{{{The variable \{y\} is complex.}}}The variable \{y\} is complex.
{{{This \int_a^b x = \frac{1}{2}(b^2-a^2)\} is an easy integral.}}}This \int_a^b x = \frac{1}{2}(b^2-a^2)\} is an easy integral.
{{{This $$\int_a^b \sin x = -(\cos b - \cos a)$$ is another easy integral.}}}This $$\int_a^b \sin x = -(\cos b - \cos a)$$ is another easy integral.
{{{Block formatted equations may also use the 'equation' environment \begin{equation} \int \tan x = -\ln |\cos x| \end{equation} }}}Block formatted equations may also use the 'equation' environment \begin{equation} \int \tan x = -\ln |\cos x| \end{equation}

```

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```
jsMath.Macro('et','\eta');
jsMath.Macro('th','\theta');
jsMath.Macro('io','\iota');
jsMath.Macro('ka','\kappa');
jsMath.Macro('la','\lambda');
jsMath.Macro('rh','\rho');
jsMath.Macro('si','\sigma');
jsMath.Macro('ta','\tau');
jsMath.Macro('up','\upsilon');
jsMath.Macro('ph','\phi');
jsMath.Macro('ch','\chi');
jsMath.Macro('ps','\psi');
jsMath.Macro('om','\omega');
jsMath.Macro('Ga','\Gamma');
jsMath.Macro('De','\Delta');
jsMath.Macro('Th','\Theta');
jsMath.Macro('La','\Lambda');
jsMath.Macro('Si','\Sigma');
jsMath.Macro('Up','\Upsilon');
jsMath.Macro('Ph','\Phi');
jsMath.Macro('Ps','\Psi');
jsMath.Macro('Om','\Omega');
```

/* misc */

```
jsMath.Macro('pa','\partial');
jsMath.Macro('na','\nabla');
jsMath.Macro('ti','\times');
jsMath.Macro('lb','\left(');
jsMath.Macro('rb','\right)');
jsMath.Macro('lp','\left(');
```

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jsMath.Macro("th", "\theta");
jsMath.Macro("io", "\iota");
jsMath.Macro("ka", "\kappa");
jsMath.Macro("la", "\lambda");
jsMath.Macro("rh", "\rho");
jsMath.Macro("si", "\sigma");
jsMath.Macro("ta", "\tau");
jsMath.Macro("up", "\upsilon");
jsMath.Macro("ph", "\phi");
jsMath.Macro("ch", "\chi");
jsMath.Macro("ps", "\psi");
jsMath.Macro("om", "\omega");
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```
jsMath.Macro("pa", "\partial");
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```

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```
jsMath.Macro('li', '\left<');
jsMath.Macro('ri', '\right>');
jsMath.Macro('ll', '\left|');
jsMath.Macro('rl', '\right|');
jsMath.Macro('lc', '\left\l');
jsMath.Macro('rc', '\right\r');
jsMath.Macro('ld', '\left. ');
jsMath.Macro('rd', '\right. ');
jsMath.Macro('ha', '\small \frac{1}{2}');
jsMath.Macro('fr', '\small \frac{#1}{#2}', 2);
jsMath.Macro('p', '\phantom{#1}', 1);
jsMath.Macro('vp', '\vphantom{#1}', 1);
jsMath.Macro('label', '\l\;\l\;\l(\mathrm{#1})', 1);

/* accents */
jsMath.Macro('f', '\underset{\raise4mu\smash{-}}{#1}', 1);
jsMath.Macro('ff', '\underset{\raise3mu\smash{=}}{#1}', 1);
jsMath.Macro('fff', '\underset{\raise3mu\smash{\equiv}}{#1}', 1);
jsMath.Macro('nf', '\underset{\raise4mu\smash{\sim}}{#1}', 1);
jsMath.Macro('ud', '\underset{\raise4mu\smash{\cdot}}{#1}', 1);
jsMath.Macro('od', '\overset{\lower4mu{}}{#1}', 1);
jsMath.Macro('udf', '\underset{\raise4mu\smash{- \cdot}}{#1}', 1);
jsMath.Macro('udff', '\underset{\raise3mu\smash{= \cdot}}{#1}', 1);
jsMath.Macro('ve', '\overset{\lower4mu\moveright1mu\rightarpoonup}{#1}', 1);
jsMath.Macro('vv', '\overset{\lower4mu\overset{\moveleft.1mu\lower4mu\Large \rightarpoonup}}{\rightarpoonup}{#1}', 1);

/* particle shapes */
jsMath.Macro('scir', '\lower.1em\rlap{\color{#1}\Large \bullet}\Large \circ', 1);
```

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Symbols

Symbol	LaTeX	Use
$\mathbb{R} \mathbb{C} n a$	<code>\mathbb{R} \mathbb{C} n \ud{a}</code>	real numbers , complex numbers, dimension, Grassmann number
$M T_p M T_p^* M$	<code>M T_p M T_p^* M</code>	manifold , tangent space to M at point p , cotangent space to M at point p
$x^i \vec{\partial}_i \vec{v} \vec{l}$	<code>x^i \ve{\pa_i} \ve{v} \vv{l}</code>	coordinates and coordinate basis vectors with coordinate indices, tangent vector , loop
$t \tau$	<code>t \ta</code>	parameter time, proper time
$dx^i a \underline{b} \underline{c} \underline{f}$	<code>\f{dx^i} \f{a} \ff{b} \fff{c} \nf{f}</code>	coordinate basis 1-forms , 1-form, 2-form, 3-form, differential form of high or unspecified form grade
$\partial_i \partial d$	<code>\pa_i \f{\pa} \f{d}</code>	partial derivative , partial derivative, exterior derivative
$\phi \phi^* \phi_*$	<code>\ph \ph^* \ph_*</code>	diffeomorphism , pullback , pushforward
$\mathcal{L}_{\vec{v}} [\vec{v}, \vec{u}]_L \vec{\Delta}$	<code>{\cal L}_{\ve{v}} \lb\ve{v}, \ve{u}\rb_L \ve{\De}</code>	Lie derivative , Lie bracket of two vector fields , distribution
	<code>\f{\ve{A}} {\cal L}_{\ve{v}}</code>	vector valued form , Euclidean

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Symbols

Symbol	LaTeX	Use
$\mathbb{R} \ \mathbb{C} \ n \ a$	<code>\mathbb{R} \ \mathbb{C} \ n \ \ud{a}</code>	real numbers , complex numbers, dimension, Grassmann number
$M \ T_p M \ T_p^* M$	<code>M \ T_p M \ T_p^* M</code>	manifold , tangent space to M at point p, cotangent space to M at point p
$x^i \ \vec{\partial}_i \ \vec{v} \ \vec{l}$	<code>x^i \ \ve{\pa_i} \ \ve{v} \ \vv{l}</code>	coordinates and coordinate basis vectors with coordinate indices, tangent vector , loop
$t \ \tau$	<code>t \ \ta</code>	parameter time, proper time
$dx^i \ \underline{a} \ \underline{b} \ \underline{c} \ \underline{f}$	<code>\f{dx^i} \ \f{a} \ \ff{b} \ \fff{c} \ \nf{f}</code>	coordinate basis 1-forms , 1-form , 2-form , 3-form , differential form of high or unspecified form grade
$\partial_i \ \partial \ d$	<code>\pa_i \ \f{\pa} \ \f{d}</code>	partial derivative , partial derivative, exterior derivative
$\phi \ \phi^* \ \phi_*$	<code>\ph \ \ph^* \ \ph_*</code>	diffeomorphism , pullback , pushforward
		Lie derivative , Lie

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$t \tau$	<code>t \ta</code>	parameter time, proper time
$dx^i a b c f$	<code>\f{dx^i} \f{a} \ff{b} \fff{c} \nf{f}</code>	coordinate basis 1-forms , 1-form , 2-form , 3-form , differential form of high or unspecified form grade
$\partial_i \partial d$	<code>\pa_i \f{\pa} \f{d}</code>	partial derivative , partial derivative, exterior derivative
$\phi \phi^* \phi_*$	<code>\ph \ph^* \ph_*</code>	diffeomorphism , pullback , pushforward
$\mathcal{L}_{\vec{v}} [\vec{v}, \vec{u}]_L \vec{\Delta}$	<code>{\cal L}_{\ve{v}} \lb\ve{v}, \ve{u}\rb_L \ve{\De}</code>	Lie derivative , Lie bracket of two vector fields , distribution

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$x^i \vec{\partial}_i \vec{v} \vec{l}$	<code>x^i \ve{\pa_i} \ve{v} \vv{l}</code>	coordinates and coordinate basis vectors with coordinate indices , tangent vector , loop
$t \tau$	<code>t \ta</code>	parameter time, proper time
$dx^i \underline{a} \underline{b} \underline{c} \underline{f}$	<code>\f{dx^i} \f{a} \ff{b} \fff{c} \nf{f}</code>	coordinate basis 1-forms , 1-form , 2-form , 3-form , differential form of high or unspecified form grade
$\partial_i \underline{\partial} \underline{d}$	<code>\pa_i \f{\pa} \f{d}</code>	partial derivative , partial derivative, exterior derivative
$\phi \phi^* \phi_*$	<code>\ph \ph^* \ph_*</code>	diffeomorphism , pullback , pushforward
$\mathcal{L}_{\vec{v}} [\vec{v}, \vec{u}]_L \vec{\Delta}$	<code>{\cal L}_{\ve{v}} \lb\ve{v}, \ve{u}\rb_L \ve{\De}</code>	Lie derivative , Lie bracket of two vector fields , distribution
$\vec{A} \mathcal{L}_{\vec{K}} [\vec{K}, \vec{L}]_L \vec{P}$	<code>\f{\ve{A}} {\cal L}_{\ve{K}} \nf{\ve{K}} \nf{\ve{L}} \nf{\ve{P}} \lb\nf{\ve{K}}, \nf{\ve{L}}\rb_L \f{\ve{P}}</code>	vector valued form , FuN derivative , FuN bracket , vector projection
$\vec{A} \vec{F} \underline{\mathcal{D}}$	<code>\f{\ve{\cal A}} \ff{\ve{\cal F}} \f{\cal D}</code>	Ehresmann connection , FuN curvature , Ehresmann covariant derivative
$\delta_i^j \eta_{\alpha\beta} \epsilon_{\alpha\ldots\beta} \otimes$	<code>\de_i^j \et_{\al \be} \ep_{\al \dots \be} \otimes</code>	Kronecker delta , Minkowski metric , permutation symbol , Kronecker product
$G g^{-1} T_A [T_A, T_B]$	<code>G g^- T_A \lb{T_A, T_B}\rb</code>	Lie group , inverse of a group element, Lie algebra generators, commutator bracket

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Symbol	LaTeX	Use
$\mathbb{R} \mathbb{C} n a$	<code>\mathbb{R} \mathbb{C} n \ud{a}</code>	real numbers , complex numbers, dimension, Grassmann number
$M T_p M T_p^* M$	<code>M T_p M T_p^* M</code>	manifold , tangent space to M at point p , cotangent space to M at point p
$x^i \vec{\partial}_i \vec{v} \vec{l}$	<code>x^i \ve{\pa_i} \ve{v} \vv{l}</code>	coordinates and coordinate basis vectors with coordinate indices , tangent vector , loop
$t \tau$	<code>t \ta</code>	parameter time, proper time
$dx^i \underline{a} \underline{b} \underline{c} \underline{f}$	<code>\f{dx^i} \f{a} \ff{b} \fff{c} \nf{f}</code>	coordinate basis 1-forms , 1-form , 2-form , 3-form , differential form of high or unspecified form grade
$\partial_i \partial d$	<code>\pa_i \f{\pa} \f{d}</code>	partial derivative , partial derivative, exterior derivative
$\phi \phi^* \phi_*$	<code>\ph \ph^* \ph_*</code>	diffeomorphism , pullback , pushforward
$\mathcal{L}_{\vec{v}} [\vec{v}, \vec{u}]_L \vec{\Delta}$	<code>{\cal L}_{\ve{v}} \lb\ve{v}, \ve{u}\rb_L \ve{De}</code>	Lie derivative , Lie bracket of two vector fields , distribution
$\vec{A} \mathcal{L}_{\vec{K}} [\vec{K}, \vec{L}]_L \vec{P}$	<code>\f{\ve{A}} {\cal L}_{\ve{K}} \nf{\ve{K}} \nf{\ve{L}} \rb_L \f{\ve{P}}</code>	vector valued form , FuN derivative , FuN bracket , vector projection
$\vec{A} \vec{F} \mathcal{D}$	<code>\f{\ve{\cal A}} \ff{\ve{\cal F}} \f{\cal D}</code>	Ehresmann connection , FuN curvature , Ehresmann covariant derivative
$\delta_i^j \eta_{\alpha\beta} \epsilon_{\alpha\mu\beta} \otimes$	<code>\de_i^j \et_{\al \be} \ep_{\al \dots \be} \otimes</code>	Kronecker delta , Minkowski metric , permutation symbol , Kronecker product
$G g^- T_A [T_A, T_B]$	<code>G g^- T_A \lb{T_A, T_B}\rb</code>	Lie group , inverse of a group element, Lie algebra generators, commutator bracket
$\nabla \underline{A} \underline{F}$	<code>\f{\na} \f{A} \ff{F}</code>	covariant derivative , connection , curvature
$\vec{\omega} \vec{\omega} \vec{\omega}$	<code>\f{\cal I} \f{\ve{\cal I}}</code>	Maurer-Cartan form , Ehresmann-Maurer-Cartan

Symbols

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Symbol	LaTeX	Use
$\mathbb{R} \mathbb{C} n a$	<code>\mathbb{R} \mathbb{C} n \ud{a}</code>	real numbers , complex numbers, dimension, Grassmann number
$M T_p M T_p^* M$	<code>M T_p M T_p^* M</code>	manifold , tangent space to M at point p , cotangent space to M at point p
$x^i \vec{\partial}_i \vec{v} \vec{l}$	<code>x^i \ve{\pa_i} \ve{v} \vv{l}</code>	coordinates and coordinate basis vectors with coordinate indices , tangent vector , loop
$t \tau$	<code>t \ta</code>	parameter time, proper time
$dx^i \underline{a} \underline{b} \underline{c} \underline{f}$	<code>\f{dx^i} \f{a} \ff{b} \fff{c} \nf{f}</code>	coordinate basis 1-forms , 1-form , 2-form , 3-form , differential form of high or unspecified form grade
$\partial_i \partial \underline{d}$	<code>\pa_i \f{\pa} \f{d}</code>	partial derivative , partial derivative, exterior derivative
$\phi \phi^* \phi_*$	<code>\ph \ph^* \ph_*</code>	diffeomorphism , pullback , pushforward
$\mathcal{L}_{\vec{v}} [\vec{v}, \vec{u}]_L \vec{\Delta}$	<code>{\cal L}_{\ve{v}} \lb\ve{v}, \ve{u}\rb_L \ve{\De}</code>	Lie derivative , Lie bracket of two vector fields , distribution
$\vec{A} \mathcal{L}_{\vec{K}} [\vec{K}, \vec{L}]_L \vec{P}$	<code>\f{\ve{A}} {\cal L}_{\ve{K}} \nf{\ve{K}} \nf{\ve{L}} \nf{\ve{P}} \lb\nf{\ve{K}}, \nf{\ve{L}}\rb_L</code>	vector valued form , FuN derivative , FuN bracket , vector projection
$\vec{A} \vec{F} \underline{D}$	<code>\f{\ve{\cal A}} \ff{\ve{\cal F}} \f{\cal D}</code>	Ehresmann connection , FuN curvature , Ehresmann covariant derivative
$\delta_i^j \eta_{\alpha\beta} \epsilon_{\alpha\dots\beta} \otimes$	<code>\de_i^j \et_{\al \be} \ep_{\al \dots \be} \otimes</code>	Kronecker delta , Minkowski metric , permutation symbol , Kronecker product
$G g^{-1} T_A [T_A, T_B]$	<code>G g^- T_A \lb{T_A, T_B}\rb</code>	Lie group , inverse of a group element, Lie algebra generators, commutator bracket

Symbol	LaTeX	Use
$\mathbb{R} \mathbb{C} n a$	<code>\mathbb{R} \mathbb{C} n \ud{a}</code>	real numbers , complex numbers, dimension, Grassmann number
$M T_p M T_p^* M$	<code>M T_p M T_p^* M</code>	manifold , tangent space to M at point p , cotangent space to M at point p
$x^i \vec{\partial}_i \vec{v} \vec{l}$	<code>x^i \ve{\pa_i} \ve{v} \vv{l}</code>	coordinates and coordinate basis vectors with coordinate indices , tangent vector , loop
$t \tau$	<code>t \ta</code>	parameter time, proper time
$dx^i \underline{a} \underline{b} \underline{c} \underline{f}$	<code>\f{dx^i} \f{a} \ff{b} \fff{c} \nf{f}</code>	coordinate basis 1-forms , 1-form , 2-form , 3-form , differential form of high or unspecified form grade
$\partial_i \partial d$	<code>\pa_i \f{\pa} \f{d}</code>	partial derivative , partial derivative, exterior derivative
$\phi \phi^* \phi_*$	<code>\ph \ph^* \ph_*</code>	diffeomorphism , pullback , pushforward
$\mathcal{L}_{\vec{v}} [\vec{v}, \vec{u}]_L \vec{\Delta}$	<code>{\cal L}_{\ve{v}} \lb\ve{v}, \ve{u}\rb_L \ve{De}</code>	Lie derivative , Lie bracket of two vector fields , distribution
$\vec{A} \mathcal{L}_{\vec{K}} [\vec{K}, \vec{L}]_L \vec{P}$	<code>\f{\ve{A}} {\cal L}_{\ve{K}} \nf{\ve{K}} \nf{\ve{L}} \rb_L \f{\ve{P}}</code>	vector valued form , FuN derivative , FuN bracket , vector projection
$\vec{A} \vec{F} \underline{D}$	<code>\f{\ve{\cal A}} \ff{\ve{\cal F}} \f{\cal D}</code>	Ehresmann connection , FuN curvature , Ehresmann covariant derivative
$\delta_i^j \eta_{\alpha\beta} \epsilon_{\alpha\ldots\beta} \otimes$	<code>\de_i^j \et_{\al \be} \ep_{\al \dots \be} \otimes</code>	Kronecker delta , Minkowski metric , permutation symbol , Kronecker product
$G g^- T_A [T_A, T_B]$	<code>G g^- T_A \lb{T_A, T_B}\rb</code>	Lie group , inverse of a group element, Lie algebra generators, commutator bracket
$\nabla \underline{A} \underline{F}$	<code>\f{\na} \f{A} \ff{F}</code>	covariant derivative , connection , curvature
$\vec{\omega} \vec{\omega} \vec{\omega}$	<code>\f{\cal I} \f{\ve{\cal I}}</code>	Maurer-Cartan form , Ehresmann-Maurer-Cartan

Symbol	Latex	Use
$\mathbb{R} \mathbb{C} n a$	<code>\mathbb{R} \mathbb{C} n \ud{a}</code>	real numbers , complex numbers, dimension, Grassmann number
$M T_p M T_p^* M$	<code>M T_p M T_p^* M</code>	manifold , tangent space to M at point p , cotangent space to M at point p
$x^i \vec{\partial}_i \vec{v} \vec{l}$	<code>x^i \ve{\pa_i} \ve{v} \vv{l}</code>	coordinates and coordinate basis vectors with coordinate indices , tangent vector , loop
$t \tau$	<code>t \ta</code>	parameter time, proper time
$dx^i \underline{a} \underline{b} \underline{c} \underline{f}$	<code>\f{dx^i} \f{a} \ff{b} \fff{c} \nf{f}</code>	coordinate basis 1-forms , 1-form , 2-form , 3-form , differential form of high or unspecified form grade
$\partial_i \underline{\partial} \underline{d}$	<code>\pa_i \f{\pa} \f{d}</code>	partial derivative , partial derivative, exterior derivative
$\phi \phi^* \phi_*$	<code>\ph \ph^* \ph_*</code>	diffeomorphism , pullback , pushforward
$\mathcal{L}_{\vec{v}} [\vec{v}, \vec{u}]_L \vec{\Delta}$	<code>{\cal L}_{\ve{v}} \lb\ve{v}, \ve{u}\rb_L \ve{\De}</code>	Lie derivative , Lie bracket of two vector fields , distribution
$\vec{A} \mathcal{L}_{\vec{K}} [\vec{K}, \vec{L}]_L \vec{P}$	<code>\f{\ve{A}} {\cal L}_{\nf{\ve{K}}} \lb\nf{\ve{K}}, \nf{\ve{L}}\rb_L \f{\ve{P}}</code>	vector valued form , FuN derivative , FuN bracket , vector projection
$\vec{A} \vec{F} \underline{\mathcal{D}}$	<code>\f{\ve{\cal A}} \ff{\ve{\cal F}} \f{\cal D}</code>	Ehresmann connection , FuN curvature , Ehresmann covariant derivative
$\delta_i^j \eta_{\alpha\beta} \epsilon_{\alpha\ldots\beta} \otimes$	<code>\de_i^j \et_{\al \be} \ep_{\al \dots \be} \otimes</code>	Kronecker delta , Minkowski metric , permutation symbol , Kronecker product
$G g^- T_A [T_A, T_B]$	<code>G g^- T_A \lb{T_A, T_B}\rb</code>	Lie group , inverse of a group element, Lie algebra generators, commutator bracket
$\nabla \underline{A} \underline{F}$	<code>\f{\na} \f{A} \ff{F}</code>	covariant derivative , connection , curvature
$\mathcal{I} \vec{\mathcal{I}} \vec{\xi}_A^L \vec{\xi}_A^R$	<code>\f{\cal I} \f{\ve{\cal I}} \ve{\xi^L_A} \ve{\xi^R_A}</code>	Maurer-Cartan form , Ehresmann-Maurer-Cartan form , left and right action vector fields
$\mathcal{C} \mathcal{C}^*$	<code>\cal C \cal C^*</code>	Clifford algebra , Clifford group

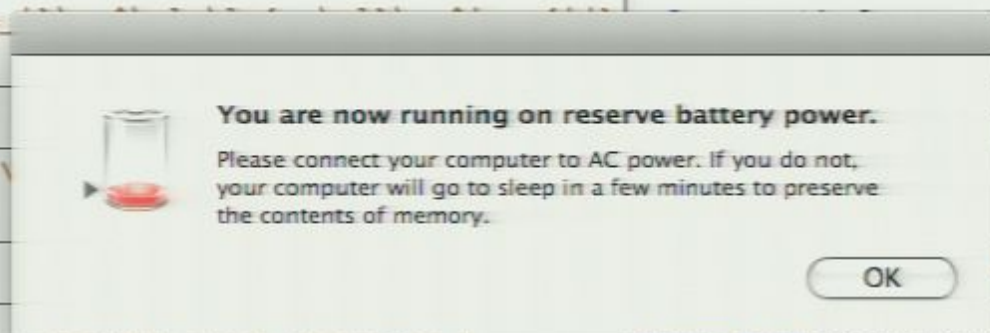
$\partial_i \partial d$	<code>\pa_i \f{\pa} \f{d}</code>	partial derivative, partial derivative, exterior derivative
$\phi \phi^* \phi_*$	<code>\ph \ph^* \ph_*</code>	diffeomorphism, pullback, pushforward
$\mathcal{L}_{\vec{v}} [\vec{v}, \vec{u}]_L \vec{\Delta}$	<code>{\cal L}_{\ve{v}} \lb\ve{v}, \ve{u}\rb_L \ve{\De}</code>	Lie derivative, Lie bracket of two vector fields, distribution
$\vec{A} \mathcal{L}_{\vec{K}} [\vec{K}, \vec{L}]_L \vec{P}$	<code>\f{\ve{A}} {\cal L}_{\nf{\ve{K}}} \lb\nf{\ve{K}}, \nf{\ve{L}}\rb_L \f{\ve{P}}</code>	vector valued form, FuN derivative, FuN bracket, vector projection
$\vec{A} \vec{F} \mathcal{D}$	<code>\f{\ve{\cal A}} \ff{\ve{\cal F}} \f{\cal D}</code>	Ehresmann connection, FuN curvature, Ehresmann covariant derivative
$\delta_i^j \eta_{\alpha\beta} \epsilon_{\alpha\beta\gamma} \otimes$	<code>\de_i^j \et_{\al \be} \ep_{\al \dots \be} \otimes</code>	Kronecker delta, Minkowski metric, permutation symbol, Kronecker product
$G g^- T_A [T_A, T_B]$	<code>G g^- T_A \lb{T_A, T_B}\rb</code>	Lie group, inverse of a group element, Lie algebra generators, commutator bracket
$\nabla A F$	<code>\f{\na} \f{A} \ff{F}</code>	covariant derivative, connection, curvature
$\mathcal{I} \vec{\xi}_A^L \vec{\xi}_A^R$	<code>\f{\cal I} \f{\ve{\cal I}} \ve{\xi^L_A} \ve{\xi^R_A}</code>	Maurer-Cartan form, Ehresmann-Maurer-Cartan form, left and right action vector fields
$Cl Cl^*$	<code>Cl Cl^*</code>	Clifford algebra, Clifford group
$\gamma_\alpha \gamma_{\alpha\beta\gamma} \gamma$	<code>\ga_{\al} \ga_{\al \dots \be} \ga</code>	Clifford basis vectors, Clifford basis elements, Clifford pseudoscalar
$\hat{A} \tilde{A} \bar{A} A^\dagger \overline{A}$	<code>\hat{ } \tilde{ } \bar{ } {\overline{A}}^\dagger { } }</code>	Clifford involution, reverse, conjugate, Hermitian conjugate, Dirac conjugate
$\cdot \times$	<code>\cdot \times</code>	symmetric and antisymmetric Clifford algebra product
$[A, \dots, B]_A a_{[\alpha\beta\gamma]}$	<code>\lb{A, \dots, B}\rb_A a_{\lb{\al \dots \be}\rb}</code>	antisymmetric bracket, index bracket

$\mathcal{I} \mathcal{I} \xi_A^L \xi_A^R$	$\backslash\mathrm{ve}\{\xi^L_A\} \backslash\mathrm{ve}\{\xi^R_A\}$	Madde-Dirac form, Dirac-Madde-Dirac form, left and right action vector fields
$Cl Cl^*$	$Cl Cl^*$	Clifford algebra, Clifford group
$\gamma_\alpha \gamma_{\alpha\beta} \gamma$	$\backslash\mathrm{ga}_{\alpha} \backslash\mathrm{ga}_{\{\alpha} \dots \beta\} \backslash\mathrm{ga}$	Clifford basis vectors, Clifford basis elements, Clifford pseudoscalar
$\hat{A} \tilde{A} \bar{A} A^\dagger \overline{A}$	$\backslash\mathrm{hat}\{ \backslash\mathrm{tilde}\{ \backslash\mathrm{bar}\{ \backslash\mathrm{overline}\{A\}^\dagger \} \} \}$	Clifford involution, reverse, conjugate, Hermitian conjugate, Dirac conjugate
$\cdot \times$	$\backslash\mathrm{cdot} \backslash\mathrm{times}$	symmetric and antisymmetric Clifford algebra product
$[A, \dots, B]_A a_{[\alpha \dots \beta]}$	$\backslash\mathrm{lb}\{A, \dots, B\} \backslash\mathrm{rb}_A a_{\backslash\mathrm{lb}\{\alpha \dots \beta\} \backslash\mathrm{rb}}$	antisymmetric bracket, index bracket
$\langle A \rangle_q \langle A \rangle$	$\backslash\mathrm{li}\{A\} \backslash\mathrm{ri}_q \backslash\mathrm{li}\{A\} \backslash\mathrm{ri}$	Clifford grade q part, scalar part
$A \underline{b} \vec{e}$	$\backslash\mathrm{f}\{A\} \backslash\mathrm{ff}\{b\} \backslash\mathrm{ve}\{e\}$	Lieforms or Cliffforms
$(e_i)^\alpha (e_\alpha)^i g_{ij} (\vec{u}, \vec{v})$	$\backslash\mathrm{lp}\{e_i\} \backslash\mathrm{rp}^\alpha \backslash\mathrm{lp}\{e_\alpha\} \backslash\mathrm{rp}^i g_{ij} \backslash\mathrm{lp}\{\vec{u}, \vec{v}\} \backslash\mathrm{rp}$	coframe matrix, frame matrix, metric, scalar product
$e^\alpha e_\alpha$	$\backslash\mathrm{f}\{e^\alpha\} \backslash\mathrm{ve}\{e_\alpha\}$	coframe 1-forms, orthonormal basis vectors
$\underline{e} \vec{e}$	$\backslash\mathrm{f}\{e\} \backslash\mathrm{lp}\{e_i\} \backslash\mathrm{rp}^\alpha \backslash\mathrm{ve}\{e\} \backslash\mathrm{lp}\{e_\alpha\} \backslash\mathrm{rp}^i g_{ij}$	coframe, frame
$\underline{e} e $	$\backslash\mathrm{nf}\{e\} \backslash\mathrm{ll}\{e\} \backslash\mathrm{rl}$	volume form, frame determinant
$*f \vec{\epsilon}$	$\backslash\mathrm{nf}\{*f\} \backslash\mathrm{ff}\{ \backslash\mathrm{vv}\{\epsilon\} \}$	Hodge dual, Hodge dual projector
$e^s (e^s_i)^\alpha s$	$\backslash\mathrm{f}\{e^s\} \backslash\mathrm{;}; \backslash\mathrm{lp}\{e^s_i\} \backslash\mathrm{rp}^\alpha \backslash\mathrm{;}; s$	special frame, special coframe matrix, conformal scalar
$TM T^*M$	$TM T^*M$	tangent bundle, cotangent bundle
$\Gamma^k_{ij} \underline{\Gamma}^k_j \underline{R}^k_j$	$\backslash\mathrm{Ga}^k\}_{ij} \backslash\mathrm{f}\{\backslash\mathrm{Ga}\}^k\}_j \backslash\mathrm{ff}\{R\}^k\}_j$	Christoffel symbols, tangent bundle connection, Riemann curvature
$R_j R$	$\backslash\mathrm{f}\{R\}\}_j R$	Ricci curvature, curvature scalar

$(e_i) \quad (e_\alpha) \quad g_{ij} \quad (u, v)$	$\backslash \text{lp} \backslash \text{ve} \{u\}, \backslash \text{ve} \{v\} \backslash \text{rp}$	product
$e^\alpha \quad e_\alpha$	$\backslash \text{f} \{e^\alpha\} \quad \backslash \text{ve} \{e_\alpha\}$	coframe 1-forms, orthonormal basis vectors
$e \quad \vec{e}$	$\backslash \text{f} \{e\} \quad \backslash \text{lp} \{e_i\} \backslash \text{rp}^\alpha \quad \backslash \text{ve} \{e\} \quad \backslash \text{lp} \{e_\alpha\} \backslash \text{rp}^i \quad g_{ij}$	coframe, frame
$e \quad e $	$\backslash \text{nf} \{e\} \quad \backslash \text{ll} \{e\} \backslash \text{rl}$	volume form, frame determinant
$*f \quad \underline{\underline{\epsilon}}$	$\backslash \text{nf} \{*f\} \quad \backslash \text{ff} \{ \backslash \text{vv} \{ \backslash \text{ep} \} \}$	Hodge dual, Hodge dual projector
$e^s \quad (e^s_i)^\alpha \quad s$	$\backslash \text{f} \{e^s\} \quad \backslash ; \backslash ; \quad \backslash \text{lp} \{e^s_i\} \backslash \text{rp}^\alpha \quad \backslash ; \backslash ; \quad s$	special frame, special coframe matrix, conformal scalar
$TM \quad T^*M$	$TM \quad T^*M$	tangent bundle, cotangent bundle
$\Gamma^k_{ij} \quad \underline{\Gamma}^k_j \quad \underline{\underline{R}}^k_j$	$\backslash \text{Ga}^k \{ \}_i \backslash \text{f} \{ \backslash \text{Ga} \}^k \{ \}_j \quad \backslash \text{ff} \{ R \}^k \{ \}_j$	Christoffel symbols, tangent bundle connection, Riemann curvature
$R_j \quad R$	$\backslash \text{f} \{ R \} \{ \}_j \quad R$	Ricci curvature, curvature scalar
$L^\beta_\alpha \quad \underline{\underline{w}}^\beta_\alpha \quad \underline{\underline{F}}^\beta_\alpha$	$L^\alpha \backslash \text{be} \{ \}_\alpha \quad \backslash \text{f} \{ w \}^\alpha \backslash \text{be} \{ \}_\alpha \quad \backslash \text{ff} \{ F \}^\alpha \backslash \text{be} \{ \}_\alpha$	Lorentz rotation, tangent bundle spin connection, Riemann curvature
$ClM \quad Cl^1M$	$ClM \quad Cl^1M$	Clifford bundle, Clifford vector bundle
$A \quad \omega \quad \underline{\underline{R}}$	$\backslash \text{f} \{ A \} \quad \backslash \text{f} \{ \omega \} \quad \backslash \text{ff} \{ R \}$	Clifford connection, spin connection, Clifford-Riemann curvature
$R \quad R$	$\backslash \text{f} \{ R \} \quad R$	Clifford-Ricci curvature, Clifford curvature scalar
$\underline{\underline{T}} \quad \kappa$	$\backslash \text{ff} \{ T \} \quad \backslash \text{f} \{ \kappa \}$	torsion, contorsion
$C \quad \underline{\underline{B}} \quad \underline{\underline{A}} \quad \underline{\underline{F}}$	$\backslash \text{ud} \{ C \} \quad \backslash \text{nf} \{ \backslash \text{od} \{ B \} \} \quad \backslash \text{udf} \{ A \} \quad \backslash \text{udff} \{ F \}$	BRST ghost, anti-ghost, extended connection, extended curvature

$\langle A \rangle_q \langle A \rangle$	$\backslash li\{A\}\backslash ri_q \backslash li\{A\}\backslash ri$	Clifford grade q part, scalar part
$A \underline{b} \vec{e}$	$\backslash f\{A\} \backslash ff\{b\} \backslash ve\{e\}$	Lieforms or Clifforms
$(e_i)^\alpha (e_\alpha)^i g_{ij} (\vec{u}, \vec{v})$	$\backslash lp\{e_i\}\backslash rp^\alpha \backslash lp\{e_alpha\}\backslash rp^i g_{ij} \backslash lp\backslash ve\{u\}, \backslash ve\{v\}\backslash rp$	coframe matrix, frame matrix, metric, scalar product
$e^\alpha \vec{e}_\alpha$	$\backslash f\{e^\alpha\} \backslash ve\{e_alpha\}$	coframe 1-forms, orthonormal basis vectors
$\underline{e} \vec{e}$	$\backslash f\{e\} \backslash lp\{e_i\}\backslash rp^\alpha \backslash ve\{e\} \backslash lp\{e_alpha\}\backslash rp^i g_{ij}$	coframe, frame
$\underline{e} e $	$\backslash nf\{e\} \backslash ll\{e\}\backslash rl$	volume form, frame determinant
$*\underline{f} \vec{\epsilon}$	$\backslash nf\{*f\} \backslash ff\{ \backslash vv\{\backslash ep\} \}$	Hodge dual, Hodge dual projector
$e^s \left(e^s_i\right)^\alpha s$	$\backslash f\{e^s\} \backslash ;\backslash ; \backslash lp\{e^s_i\}\backslash rp^\alpha \backslash ;\backslash ; s$	special frame, special coframe matrix, conformal scalar
$TM T^*M$	$TM T^*M$	tangent bundle, cotangent bundle
$\Gamma^k_{ij} \underline{\Gamma}^k_j \underline{R}^k_j$	$\backslash Ga^k\{\}_\{ij\} \backslash f\{\backslash Ga\}^k\{\}_j \backslash ff\{R\}^k\{\}_j$	Christoffel symbols, tangent bundle connection, Riemann curvature
$R_j R$	$\backslash f\{R\}\{\}_j R$	Ricci curvature, curvature scalar
$L^\beta_\alpha \underline{w}^\beta_\alpha \underline{F}^\beta_\alpha$	$L^\backslash be\{\}_\backslash alpha \backslash f\{w\}^\backslash be\{\}_\backslash alpha \backslash ff\{F\}^\backslash be\{\}_\backslash alpha$	Lorentz rotation, tangent bundle spin connection, Riemann curvature
$ClM Cl^1M$	$ClM Cl^1M$	Clifford bundle, Clifford vector bundle
$A \omega \underline{R}$	$\backslash f\{A\} \backslash f\{\backslash om\} \backslash ff\{R\}$	Clifford connection, spin connection, Clifford-Riemann curvature
$\underline{R} R$	$\backslash f\{R\} R$	Clifford-Ricci curvature, Clifford curvature scalar
$\underline{T} \kappa$	$\backslash ff\{T\} \backslash f\{\backslash ka\}$	torsion, contorsion
$\underline{C} \underline{B} \underline{A} \underline{F}$	$\backslash ud\{C\} \backslash nf\{\backslash od\{B\}\} \backslash udf\{A\} \backslash udf\{F\}$	BRST ghost, anti-ghost, extended connection, extended curvature

$\langle A \rangle_q \langle A \rangle$	$\backslash li\{A\}\ri_q \backslash li\{A\}\ri$	Clifford grade q part, scalar part
$A \underline{b} \vec{e}$	$\backslash f\{A\} \backslash ff\{b\} \backslash ve\{e\}$	Lieforms or Clifforms
$(e_i)^\alpha (e_\alpha)^i g_{ij} (\vec{u}, \vec{v})$	$\backslash lp\{e_i\}^\alpha \backslash rp\{e_\alpha\}^i \backslash g_{ij} \backslash ve\{u\} \backslash ve\{v\}$	matrix, metric, scalar
$e_\alpha^\alpha \vec{e}_\alpha$		normal basis vectors
$\underline{e} \vec{e}$		
$\underline{e} e $		minant
$*\underline{f} \vec{\underline{e}}$	$\backslash hf\{*\}\ri \backslash hf\{\vec{\underline{e}}\}\ri$	Hodge dual, Hodge dual projector
$e^s (e^s_i)^\alpha s$	$\backslash f\{e^s\} \backslash ;\backslash ; \backslash lp\{e^s_i\}\ri^\alpha \backslash ;\backslash ; s$	special frame, special coframe matrix, conformal scalar
$TM T^*M$	$TM T^*M$	tangent bundle, cotangent bundle
$\Gamma_{ij}^k \underline{\Gamma}_j^k \underline{R}_j^k$	$\backslash Ga^k\{\}_i \backslash f\{\backslash Ga\}^k\{\}_j \backslash ff\{R\}^k\{\}_j$	Christoffel symbols, tangent bundle connection, Riemann curvature
$R_j R$	$\backslash f\{R\}\{\}_j R$	Ricci curvature, curvature scalar
$L^\beta_\alpha \underline{w}^\beta_\alpha \underline{F}^\beta_\alpha$	$L^\backslash be\{\}_\alpha \backslash f\{w\}^\backslash be\{\}_\alpha \backslash ff\{F\}^\backslash be\{\}_\alpha$	Lorentz rotation, tangent bundle spin connection, Riemann curvature
$ClM Cl^1M$	$ClM Cl^1M$	Clifford bundle, Clifford vector bundle
$A \omega \underline{R}$	$\backslash f\{A\} \backslash f\{\omega\} \backslash ff\{R\}$	Clifford connection, spin connection, Clifford-Riemann curvature
$\underline{R} R$	$\backslash f\{R\} R$	Clifford-Ricci curvature, Clifford curvature scalar
$\underline{T} \kappa$	$\backslash ff\{T\} \backslash f\{\kappa\}$	torsion, contorsion
$\underline{C} \underline{B} \underline{A} \underline{F}$	$\backslash ud\{C\} \backslash nf\{\backslash od\{B\}\} \backslash udf\{A\} \backslash udf\{F\}$	BRST ghost, anti-ghost, extended connection, extended curvature



$\langle A \rangle_q \langle A \rangle$	$\text{\li{A}\ri_q \li{A}\ri}$	Clifford grade q part, scalar part
$A \underline{b} \vec{e}$	$\text{\f{A} \ff{b} \ve{e}}$	Lieforms or Clifforms
$(e_i)^\alpha (e_\alpha)^i g_{ij} (\vec{u}, \vec{v})$	$\text{\lp{e_i}\rp^\al \lp{e_\al}\rp^i g_{ij} \lp{\ve{u}, \ve{v}}\rp}$	coframe matrix, frame matrix, metric, scalar product
$e^\alpha \vec{e}_\alpha$	$\text{\f{e^\al} \ve{e_\al}}$	coframe 1-forms, orthonormal basis vectors
$\underline{e} \vec{e}$	$\text{\f{e} \lp{e_i}\rp^\al \ve{e} \lp{e_\al}\rp^i g_{ij}}$	coframe, frame
$\underline{e} e $	$\text{\nf{e} \ll{e}\rl}$	volume form, frame determinant
$*\underline{f} \vec{\epsilon}$	$\text{\nf{*f} \ff{ \vv{\ep} } }$	Hodge dual, Hodge dual projector
$e^s (\underline{e^s})^\alpha s$	$\text{\f{e^s} \;;\;; \lp{e^s_i}\rp^\al \;;\;; s}$	special frame, special coframe matrix, conformal scalar
$TM \ T^*M$	$TM \ T^*M$	tangent bundle, cotangent bundle
$\Gamma^k_{ij} \ \underline{\Gamma^k_j} \ \underline{R^k_j}$	$\text{\Ga^k\}_{ij} \ \f{\Ga^k\}_j \ \ff{R^k\}_j}$	Christoffel symbols, tangent bundle connection, Riemann curvature
$R_j \ R$	$\text{\f{R}\}_{_j} R$	Ricci curvature, curvature scalar
$L^\beta_\alpha \ \underline{w^\beta_\alpha} \ \underline{F^\beta_\alpha}$	$\text{L^\be\al \f{w^\be\al} \ff{F^\be\al}}$	Lorentz rotation, tangent bundle spin connection, Riemann curvature
$ClM \ Cl^1M$	$ClM \ Cl^1M$	Clifford bundle, Clifford vector bundle
$A \ \omega \ \underline{R}$	$\text{\f{A} \f{\om} \ff{R}}$	Clifford connection, spin connection, Clifford-Riemann curvature
$\underline{R} \ R$	$\text{\f{R} R}$	Clifford-Ricci curvature, Clifford curvature scalar
$\underline{T} \ \kappa$	$\text{\ff{T} \f{\ka}}$	torsion, contorsion
$\underline{C} \ \underline{B} \ \underline{A} \ \underline{F}$	$\text{\ud{C} \nf{\od{B}} \udf{A} \udff{F}}$	BRST ghost, anti-ghost, extended connection, extended curvature