

Title: Cosmological Implications of LARGE Volume String Compactifications

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Abstract:

Cosmological Implications of LARGE Volume String Scenarios

F. Quevedo, Cambridge. PASCOS 2008.

M. Cicoli, J. Conlon, FQ, 0708.1873 [hep-th] + 0805.1029[hep-th]

J. Conlon, R. Kallosh, A. Linde, FQ, to appear

C.B. Burgess, M. Cicoli, J. Conlon, L.-Y Hung, S. Kom, A. Maharana,
arXiv:0805.4037 [hep-th] and in progress.

String Phenomenology

(as opposed to 'String Noumenology')

- **Explicit Realistic Models**
($SU(3) \times SU(2) \times U(1)$, 3 families, etc.)
- **4D Effective Actions**
(Explicit form of K , W , f . For $N=1$ compactifications)
- **Model Independent Issues**
(axions, no-global symmetries, ..., SUSY breaking, moduli stabilisation, ...)
- **Cosmology** (Inflation, etc.)

Why LARGE volume?

- Effective field theory robust
- Phenomenology $M_{\text{Planck}}^2 = M_{\text{string}}^2 V$

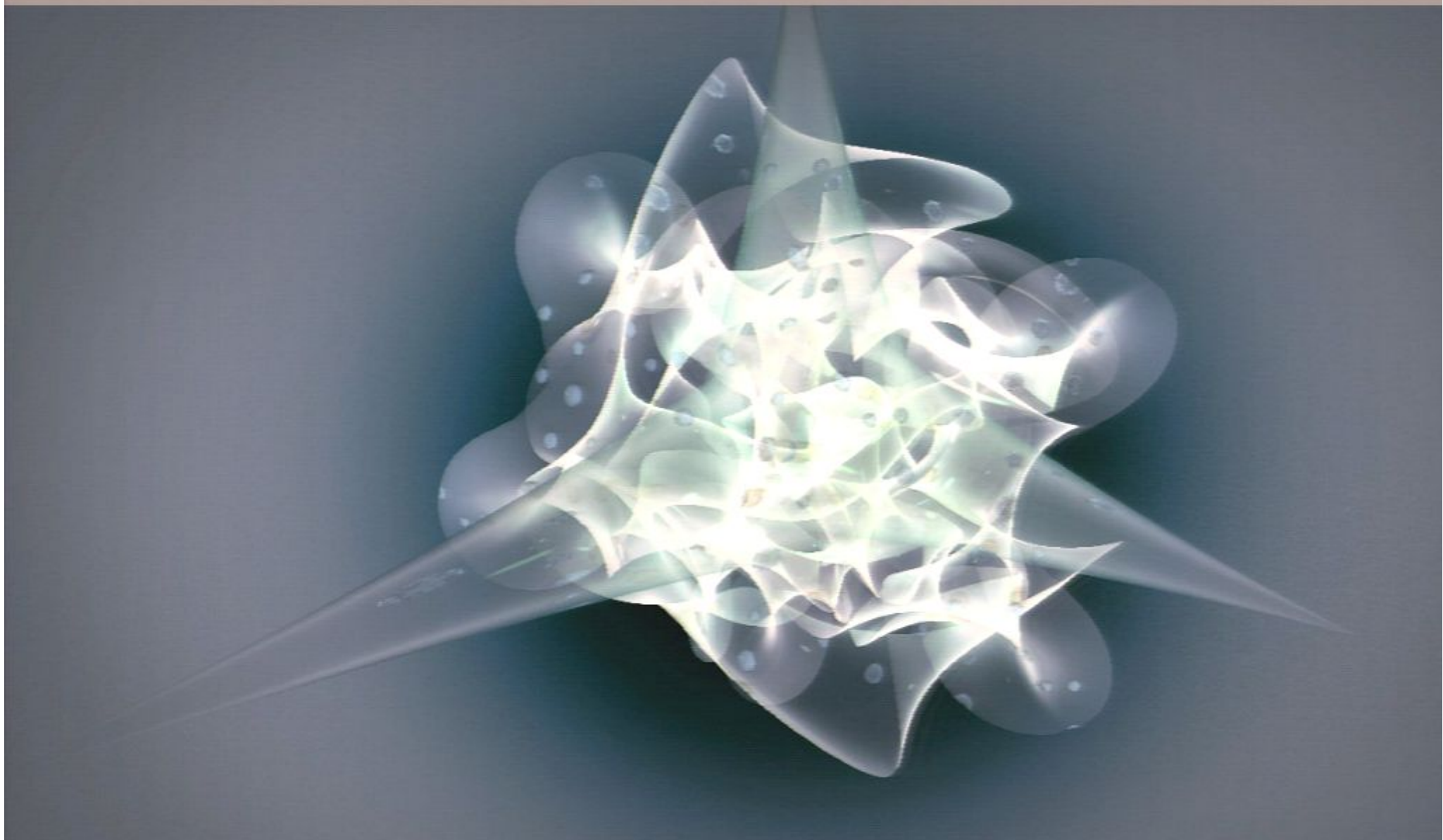
$$V=10^4 \longrightarrow M_{\text{string}} = M_{\text{GUT}} = 10^{17} \text{ GeV}$$

$$V=10^{30} \longrightarrow M_{\text{string}} = 1 \text{ TeV}$$

$$V=10^{15} \longrightarrow M_{\text{string}} = 10^{11} \text{ GeV}$$



MODULI STABILISATION?



Exponentially Large Volumes in IIB

(Fluxes + nonperturbative effects)

Perturbative vs Non perturbative :

- In general:

$$\begin{aligned}\mathcal{K} &= \mathcal{K}_0 + \mathcal{K}_p + \mathcal{K}_{np} \approx \mathcal{K}_0 + J, \\ W &= W_0 + W_{np} \approx W_0 + \Omega.\end{aligned}$$

- Then:

$$V = V_0 + V_J + V_\Omega + \dots,$$

$$V_0 \sim W_0^2, \quad V_J \sim JW_0^2, \quad V_\Omega \sim \Omega^2 + W_0\Omega.$$

- Usually V_0 dominates but $V_0=0$ (no-scale $G_{ik}^{-1}\mathcal{K}_i\mathcal{K}_{\bar{k}} = 3$)
- Dominant term is V_J unless $W_0 \ll 1$ (KKLT)

Exponentially Large Volumes

BBCQ, CQS (2005)

- Perturbative (alpha') corrections to K
- At least two Kähler moduli ($h_{2,1} > h_{1,1} > 1$) **Example :**

$$\mathbb{P}^4_{[1,1,1,6,9]},$$

$$\mathcal{K} = -2 \ln \left(\frac{1}{9\sqrt{2}} \left(\tau_b^{3/2} - \tau_s^{3/2} \right) + \frac{\xi}{2g_s^{3/2}} \right)$$

$$W = W_0 + A_s e^{-a_s T_s}.$$



$$V = \sum_{\Phi=S,U} \frac{\hat{K}^{\Phi\bar{\Phi}} D_{\Phi} W \bar{D}_{\bar{\Phi}} \bar{W}}{\mathcal{V}^2} + \frac{\lambda(a_s A_s)^2 \sqrt{\tau_s} e^{-2a_s \tau_s}}{\mathcal{V}} - \frac{\mu W_0 a_s A_s \tau_s e^{-a_s \tau_s}}{\mathcal{V}^2} + \frac{\nu \xi |W_0|}{g_s^{3/2} \mathcal{V}^3}$$



$$\mathcal{V} \sim e^{a_s \tau_s} \gg 1 \text{ with } \tau_s \sim \frac{\xi^{2/3}}{g_s} \cdot a_s \sim 2\pi/g_s N$$

Exponentially large volumen !!!

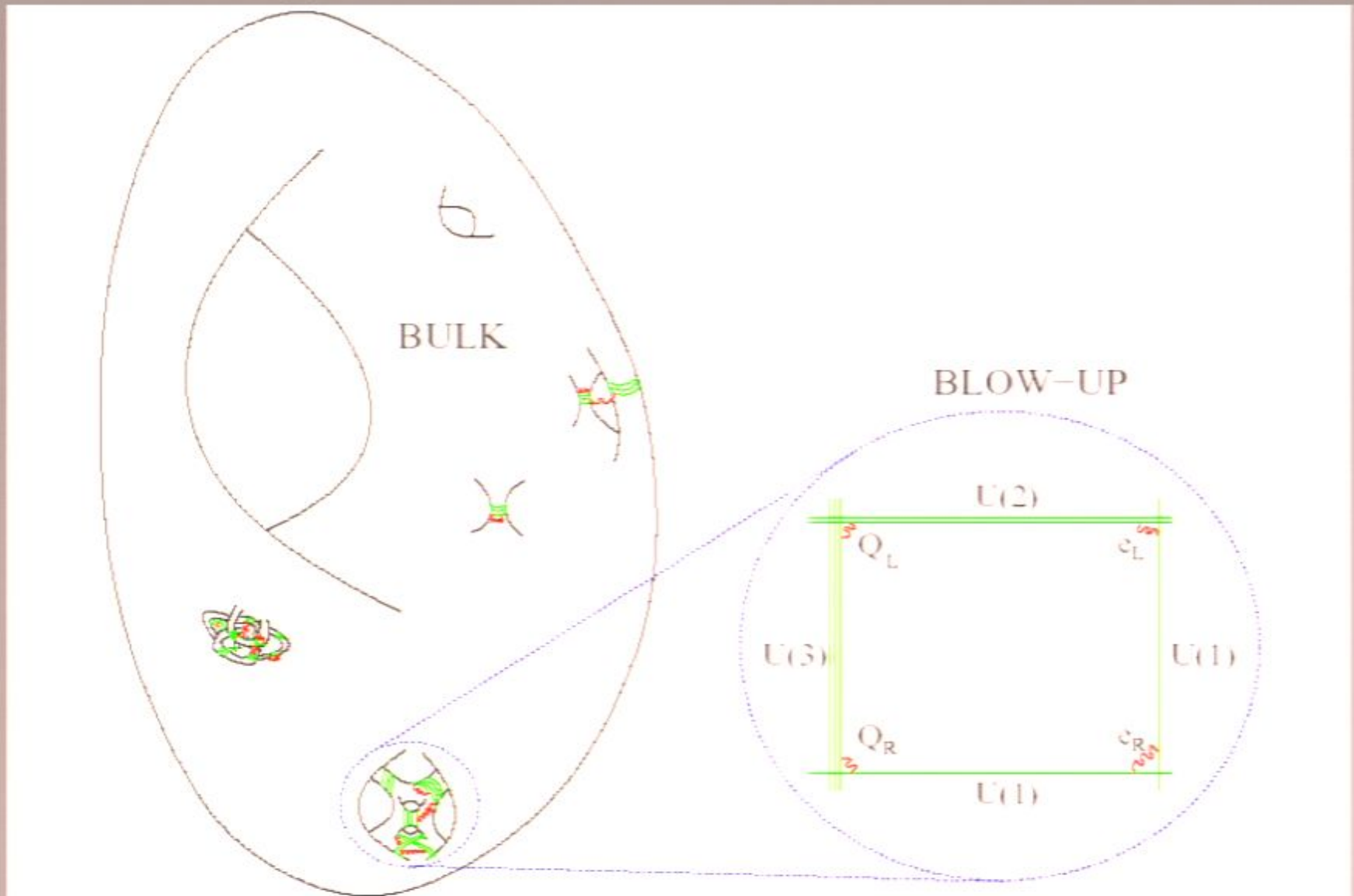
Scale	\mathcal{V}_s	$g_s \cdot N$
GUT	4600	2.25
Intermediate	4.6×10^9	0.85
TeV	4.6×10^{27}	0.30

String scale: $M_s^2 = M_{\text{Planck}}^2 / \mathcal{V}$


$W_g \sim 1-10$

$M_s = 1 \text{ TeV}$ problematic from 5th force

The Standard Model in the CY



General Conditions for LARGE Volume

- $h_{12} > h_{11} > 1$
- At least one blow-up mode (point-like singularity)
- Blow-up mode fixed by non-perturbative effects, volume by alpha' corrections
- For N_{small} blow-up modes, there are $L = h_{11} - N_{\text{small}} - 1$ flat directions at tree-level
- These directions are usually lifted by perturbative effects
 L moduli lighter than volume!

String Loop Corrections

$$\delta K_{(g_s)}^{KK} \sim \frac{\sqrt{\tau}}{\mathcal{V}}.$$

$$\delta K_{(g_s)}^{W} \sim \frac{1}{\mathcal{V}\sqrt{\tau}}.$$

Berg-Haack-Kors
Berg-Haack-Pajer

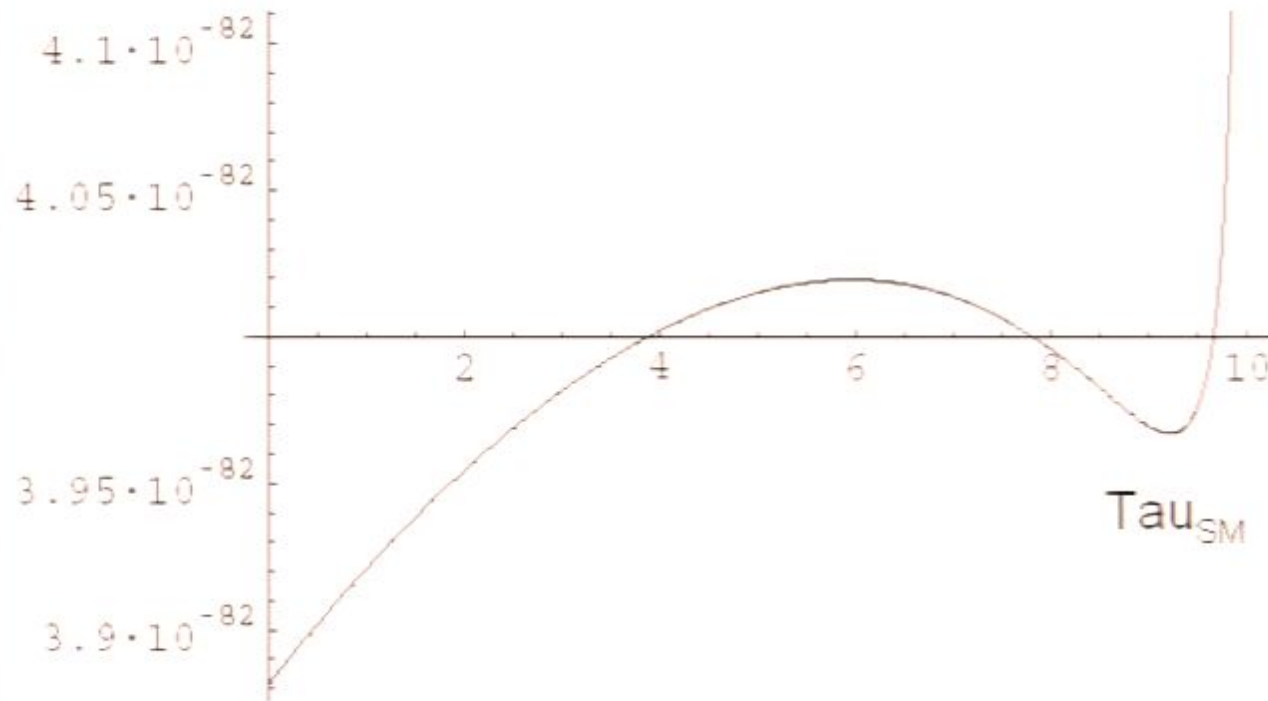
$$\delta V_{(g_s)}^{KK} \sim \left(0 \cdot \frac{\partial K_0}{\partial \tau} + \frac{\partial^2 K_0}{\partial \tau^2} \right) \frac{1}{\mathcal{V}^2} \sim 0 \cdot \frac{\sqrt{\tau}}{\mathcal{V}^3} + \frac{1}{\mathcal{V}^3 \sqrt{\tau}},$$

Leading order correction for V is α' but string loops relevant to fix other moduli

Example 1

The multiple-hole Swiss cheese: $\mathbb{C}P^1_{[1.3.3.3.5]}$

$$V + \delta V_{(gs)} = \frac{\lambda_1 \left(\sqrt{5(2\tau_{E3} + \tau_{SM})} - \sqrt{\tau_{E3} - \tau_{SM}} \right) e^{-1\pi\tau_{E3}}}{\mathcal{V}} - \frac{3\lambda_2 \tau_{E3} e^{-2\pi\tau_{E3}}}{\mathcal{V}^2} + \frac{\lambda_3}{\mathcal{V}^3} + \left(\frac{\lambda_4}{\sqrt{\tau_{E3} - \tau_{SM}}} - \frac{\lambda_5}{\sqrt{2\tau_{E3} - \tau_{SM}}} \right) \frac{1}{\mathcal{V}^3}$$



Example 2: K3 Fibrations

- K3 Fibration with 2 Kahler moduli [1,1,2,2,6] model

$$\mathcal{V} = t_1 t_2^2 + \frac{2}{3} t_2^3 = \frac{1}{2} \sqrt{\tau_1} \left(\tau_2 - \frac{2}{3} \tau_1 \right).$$

$$V_{np} + V_{(\alpha t)} = \frac{4}{\mathcal{V}^2} \left[a_1 A_1^2 \tau_1 (a_1 \tau_1 + 1) e^{-2a_1 \tau_1} - a_1 A_1 \tau_1 W_0 e^{-a_1 \tau_1} \right] \\ + \frac{3}{4} \frac{\xi}{\mathcal{V}^3} \left(W_0^2 + A_1^2 e^{-2a_1 \tau_1} - 2A_1 W_0 e^{-a_1 \tau_1} \right).$$

- No LARGE volume

- K3 Fibration with 3 Kahler moduli (one blow-up)

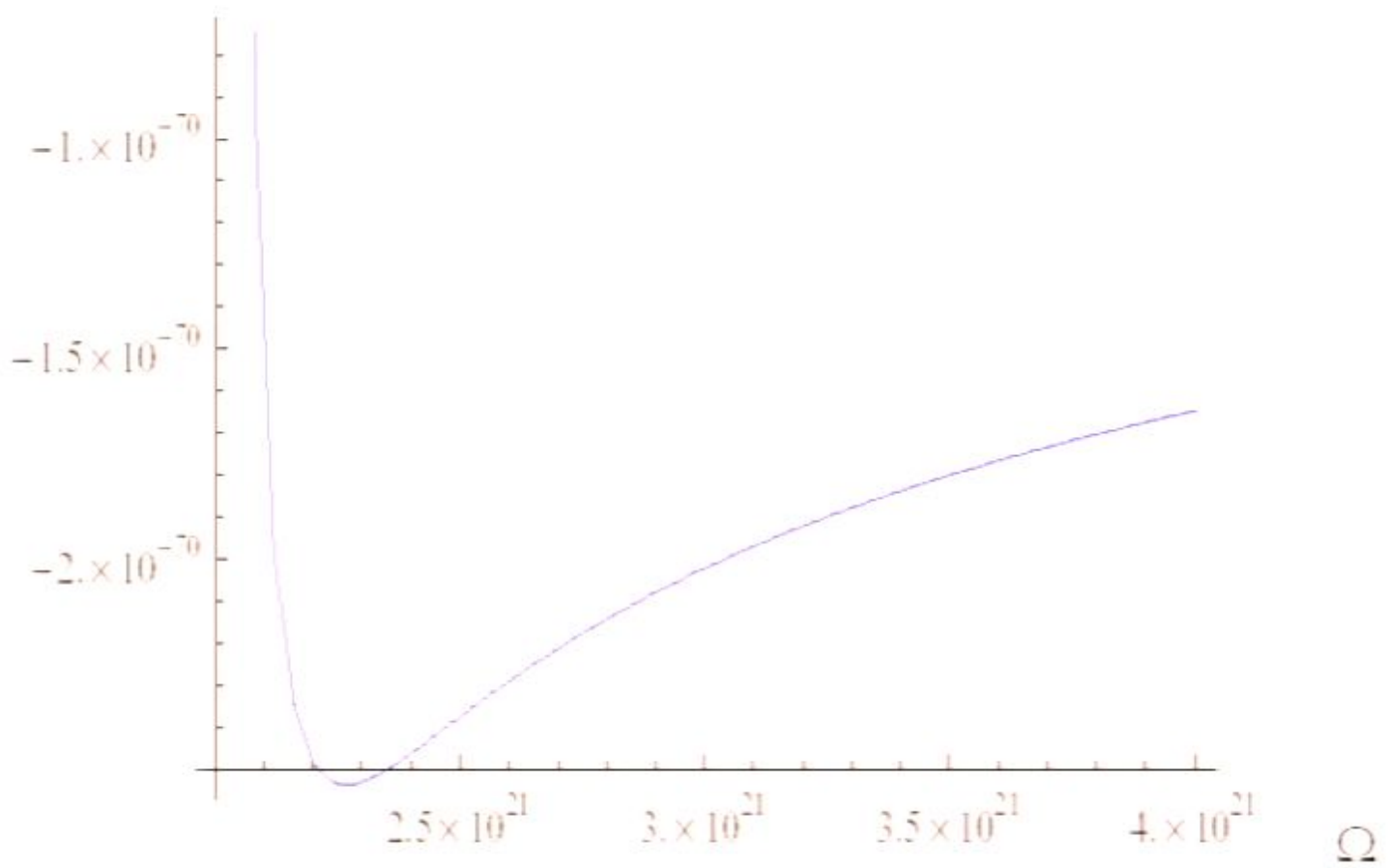
$$\mathcal{V} = \alpha \left[\sqrt{\tau_1}(\tau_2 - 3\tau_1) - \gamma \tau_3^{3/2} \right].$$

$$\delta V_{(g_s), \tau_1} + \delta V_{(g_s), \tau_2} = \frac{A}{\tau_1^2 \mathcal{V}^2} + \frac{B \sqrt{\tau_1}}{(\tau_2 - 2\tau_1) \mathcal{V}^3} + \frac{C}{\sqrt{\tau_1} \mathcal{V}^3} + \frac{D \tau_1}{\mathcal{V}^4}.$$

- Tau 3 small, tau 1 and tau 2 LARGE

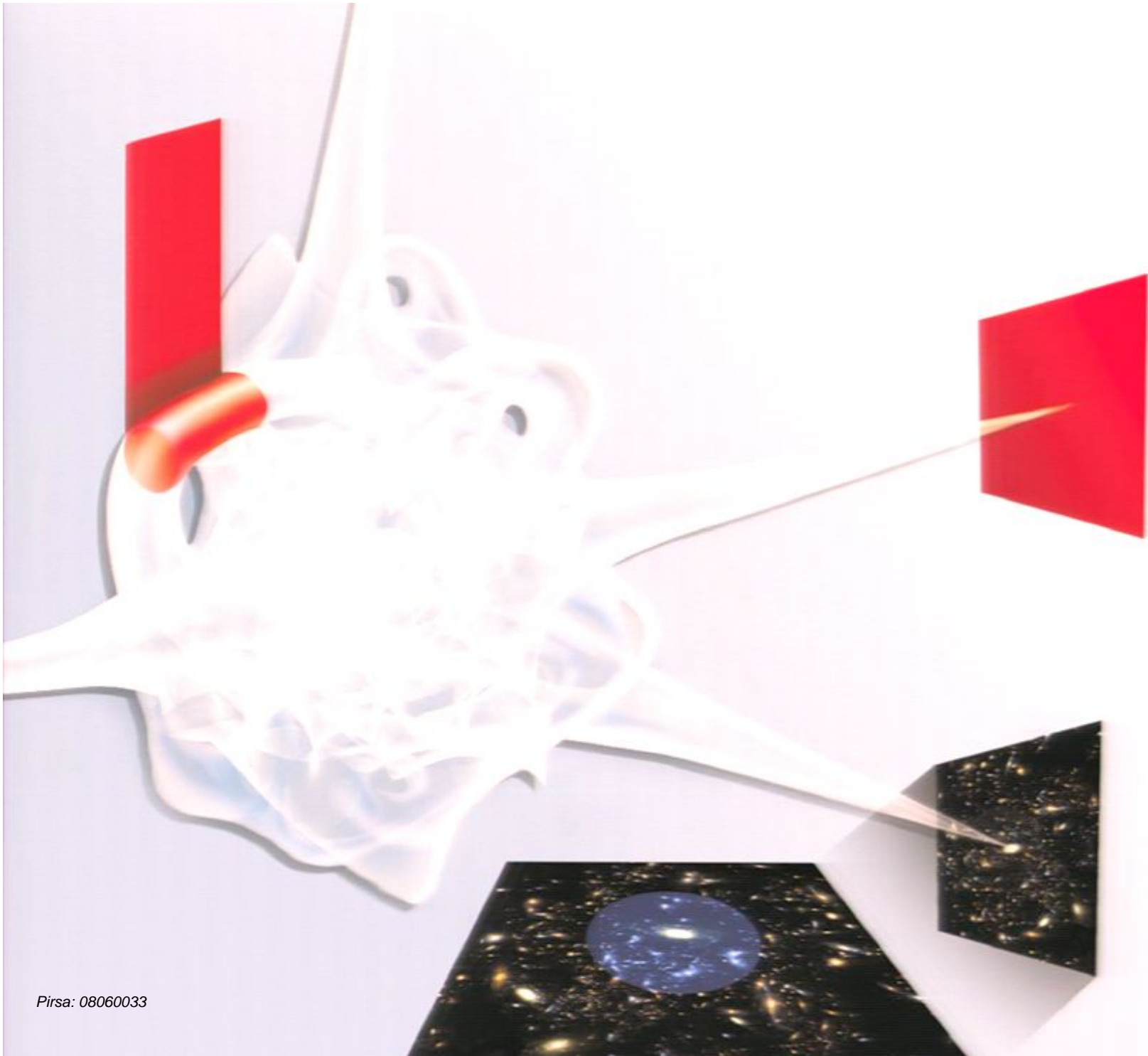
$$(\tau_1, \tau_2) \longrightarrow (\mathcal{V}, \Omega) : \begin{cases} \mathcal{V} \simeq \alpha \left[\sqrt{\tau_1} (\tau_2 - \beta \tau_1) \right] \\ \Omega = \alpha \left[\sqrt{\tau_1} (\tau_2 + \beta \tau_1) \right] \end{cases}$$

\mathcal{V}



$$m^2 = 1/\mathcal{V}^3, 1/\mathcal{V}^{10/3}$$

Intermediate Scale String Scenario



Univers

D3 Bran

or

D7 Bran

Standard Model on D7 Branes

- Solves hierarchy problem $M_{\text{string}} = 10^{11}$ GeV!

$$m_s \sim \frac{M_P}{\sqrt{\mathcal{V}}}, \quad m_{3/2} \sim \frac{M_P}{\mathcal{V}} W_0.$$

- $W_0 \sim 1$ (no fine tuning)
- Kahler potential for *chiral* matter computed

Conlon, Cremades, FQ (2006)

Chiral Matter on D7 Branes

Soft SUSY Breaking terms

$$m_{soft} = \frac{m_{3/2}}{\ln(M_P/m_{3/2})}.$$

$$M_i = \frac{F^s}{2\tau_s}.$$

$$m_\alpha = \sqrt{\lambda} M_i.$$

$$A_{\alpha\beta\gamma} = -3\lambda M_i.$$

$$B = -(\lambda + 1) M_i.$$

- Universality
- No extra CP violation
- $M_i = m_{3/2} / \log(M_P/m_{3/2})$
- String scale 10^{11} GeV
- Solves hierarchy problem

Simplest case
 $\lambda=1/3$

COSMOLOGY

(Inflation, Cosmological moduli
problem, etc.)

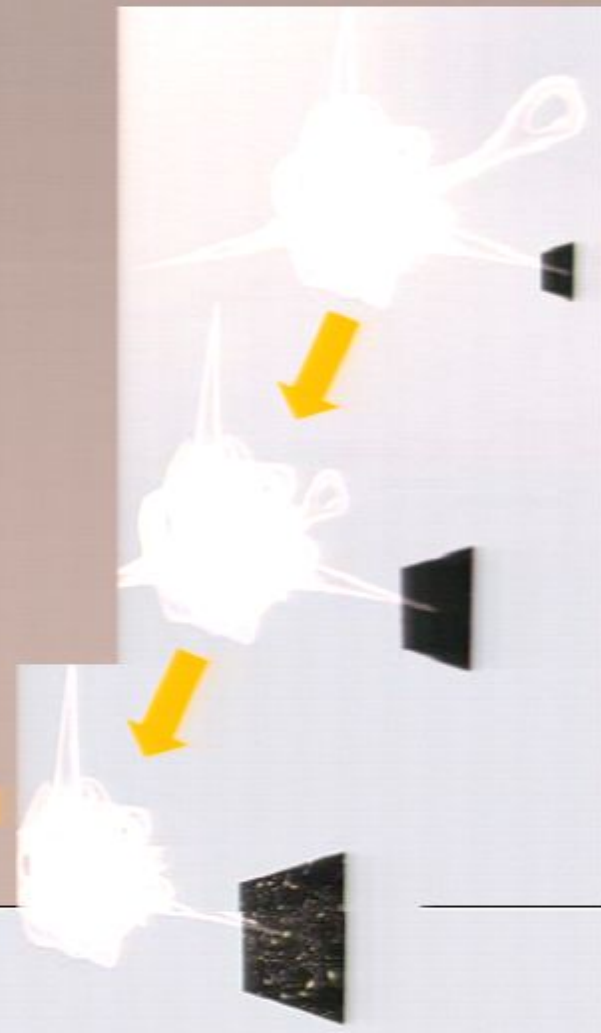
Continuous Global Symmetries

- No exact global symmetries in string theory (Flavour, Topological Textures, semilocal strings, ruled out?)
- Extend to Open strings (just closed string sector)
- Two known exceptions: Peccei-Quinn + anomalous $U(1)$'s
- Approximate Global symmetries: Non-abelian 'isometries' of localised Geometry (flavour!) + Hyper-weak 'hidden brane' interactions
- Interesting mixing (minicharged particles, ...)

KAHLER MODULI INFLATION

**Candidate Inflatons:
Closed string modes**

- **Kahler Moduli
(size/axion)**
- **Small modulus inflaton**



Kähler Moduli Inflation

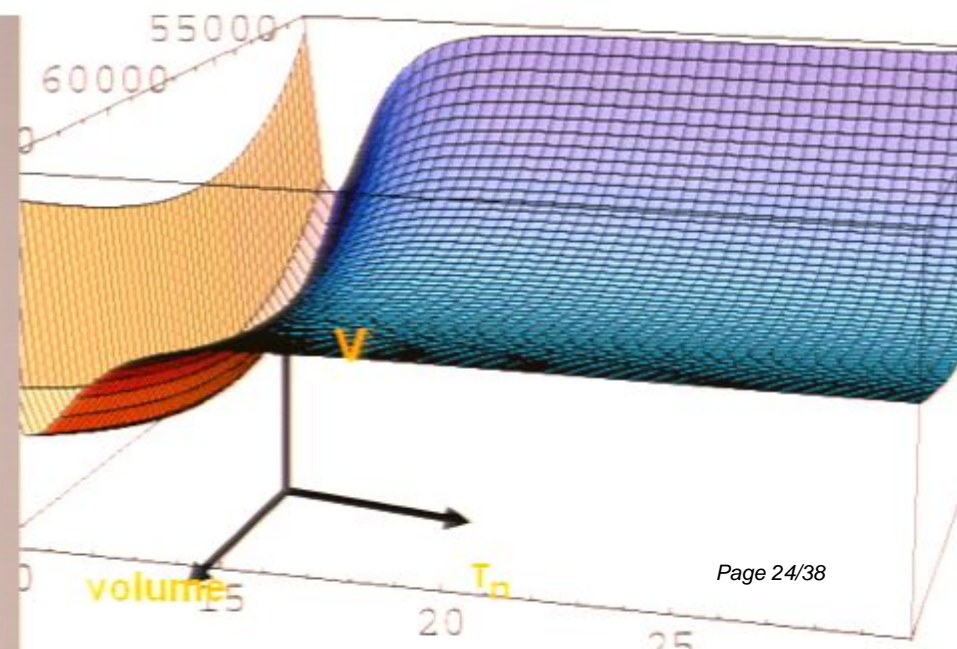
$$V = \sum_i \frac{8(a_i A_i)^2 \sqrt{\tau_i}}{3\mathcal{V}\lambda_i \alpha} e^{-2a_i \tau_i} - \sum_i \left[\frac{a_i A_i}{\mathcal{V}^2} W_0 \tau_i e^{-a_i \tau_i} + \frac{3\xi W_0^2}{4\mathcal{V}^3} \right]$$

Conlon-FQ

Bond et al.

$$V \cong V_0 - \frac{4W_0 a_n A_n}{\mathcal{V}^2} \left(\frac{3\mathcal{V}}{4\lambda} \right)^{2/3} (\tau_n^c)^{4/3} \exp \left[-a_n \left(\frac{3\mathcal{V}}{4\lambda} \right)^{2/3} (\tau_n^c)^{4/3} \right]$$

Calabi-Yau: $h_{2,1} > h_{1,1} > 2$



Small field inflation

No fine-tuning!!

$0.960 < n < 0.967$

Open Questions

- Loop effects tend to spoil flatness
- Non tensor perturbations ($r=T/S \lll 1$)?
- Tension phenomenology vs cosmology

Gravitino mass 1 TeV/Gravitino mass $\gg 1$ TeV ??
(string scale 10^{11} GeV/ string scale \sim GUT scale)

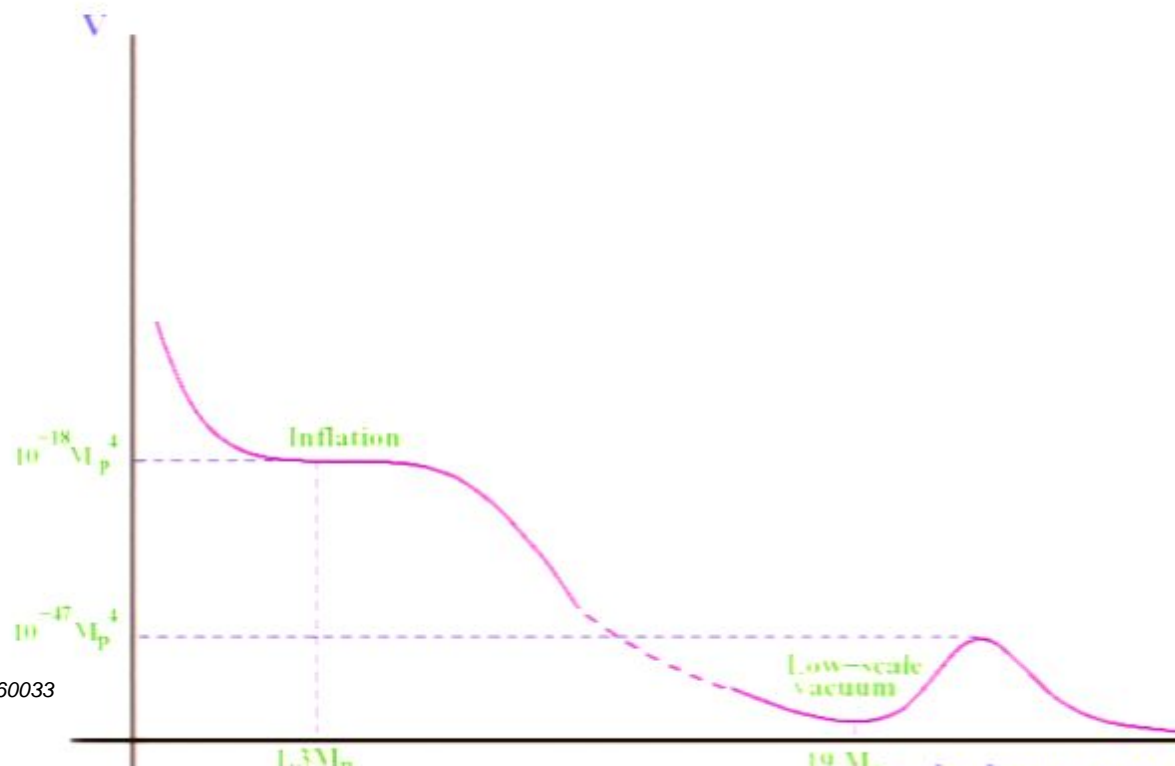
Low Energy SUSY vs Inflation

- Low scale inflation?

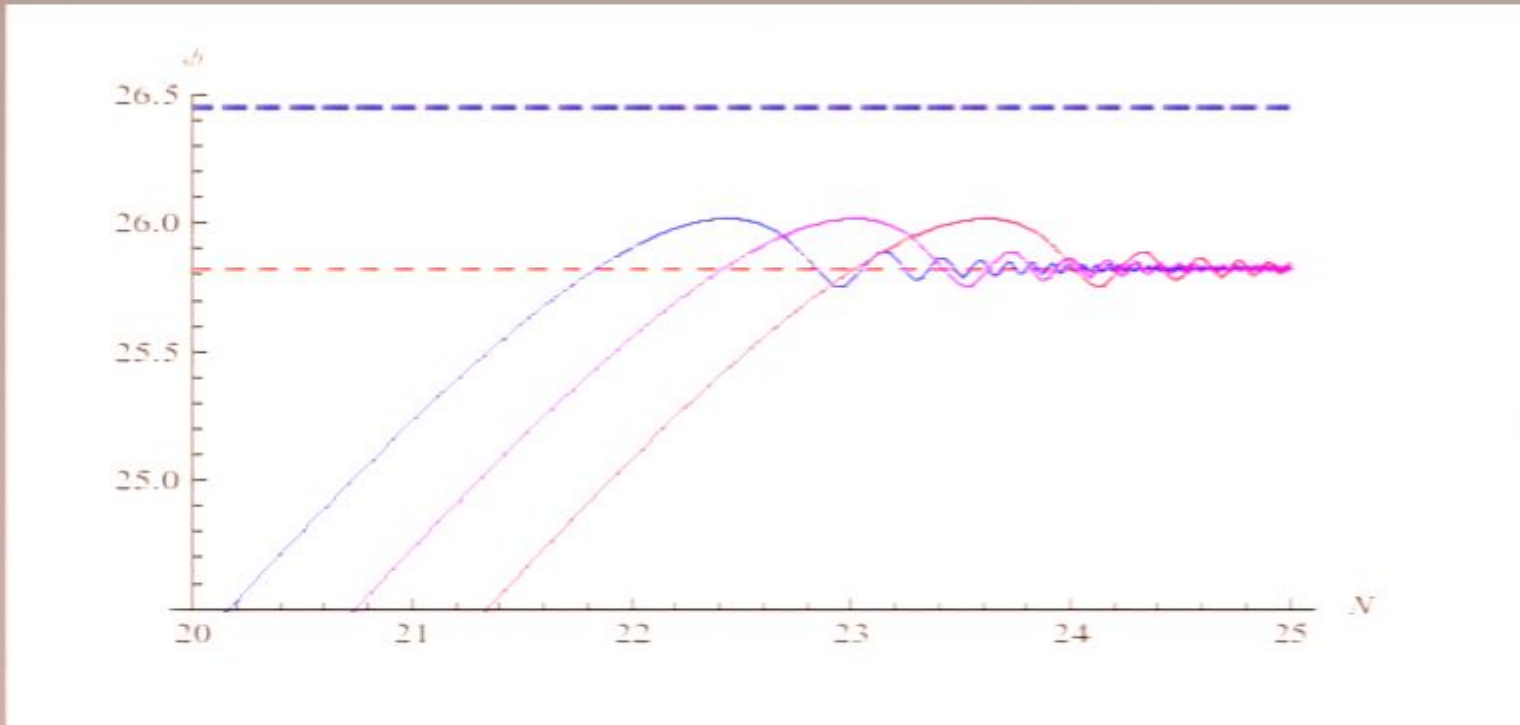
Ross et al, ...

- Runaway before reheating?

Conlon, Kallosh, Linde, F



No Overshooting problem!!!



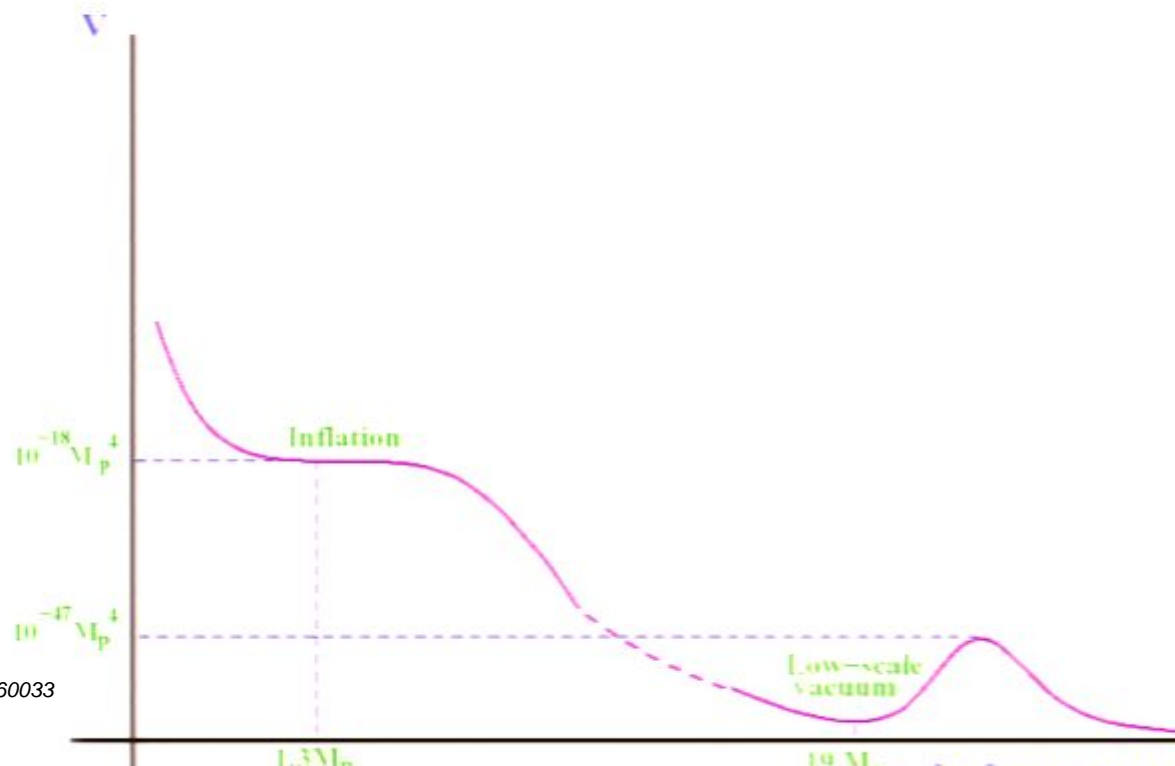
Low Energy SUSY vs Inflation

- Low scale inflation?

Ross et al, ...

- Runaway before reheating?

Conlon, Kallosh, Linde, F



New Candidate Inflavons

- $L = h_{11}^{-1} N_{\text{small}}^{-1}$ 'almost' flat directions are light

- $\text{Mass} = V^{-5/3} < \text{Volume modulus mass}$
 $m = V^{-3/2} \sim H$

- Recall $\eta \sim \text{mass}^2/H^2$

(Large field inflation $V \sim V_0 - A e^{-2\phi/\sqrt{3}}$, $r \sim 0.01!$)

(in progress)

Cicoli et al.

Other Cosmological Implications

J. Conlon, FQ

- Cosmological moduli problem

DCQR, BKN

U, S: trapped at their minimum

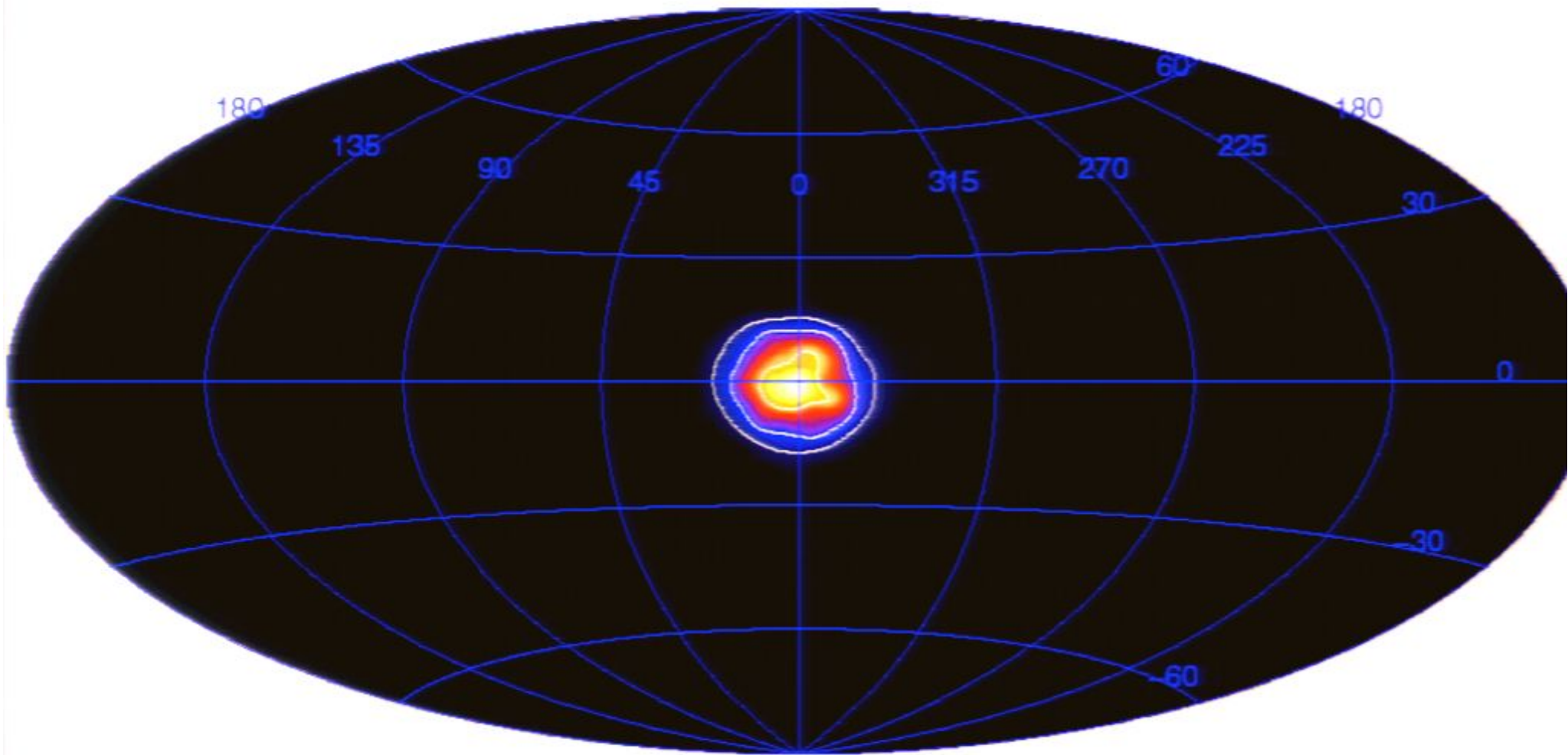
T: except for volume, heavy and decay fast ! (No CMP nor gravitino overproduction)

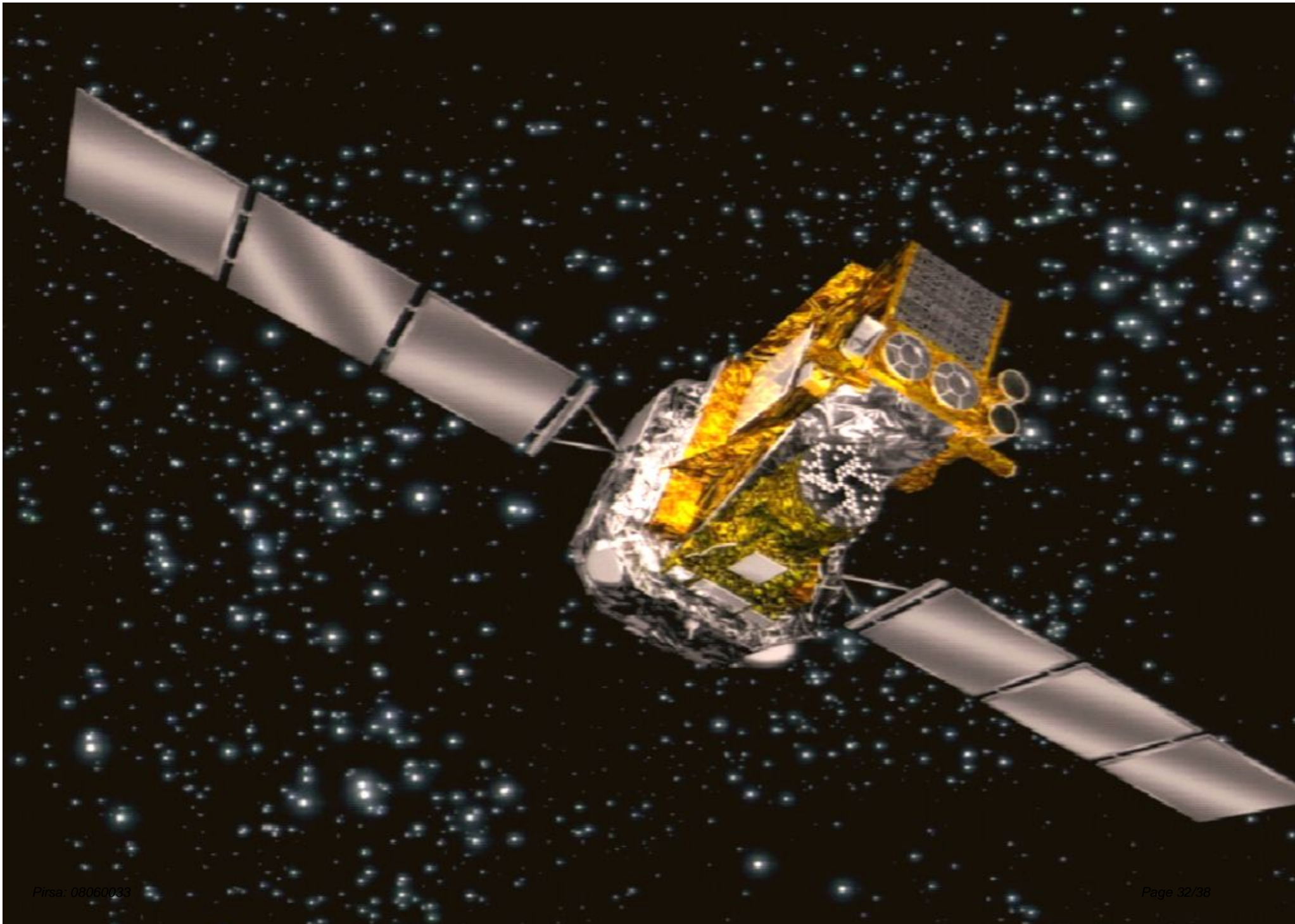
Volume: (mass MeV) CMP

- Observational implications of light volume modulus?

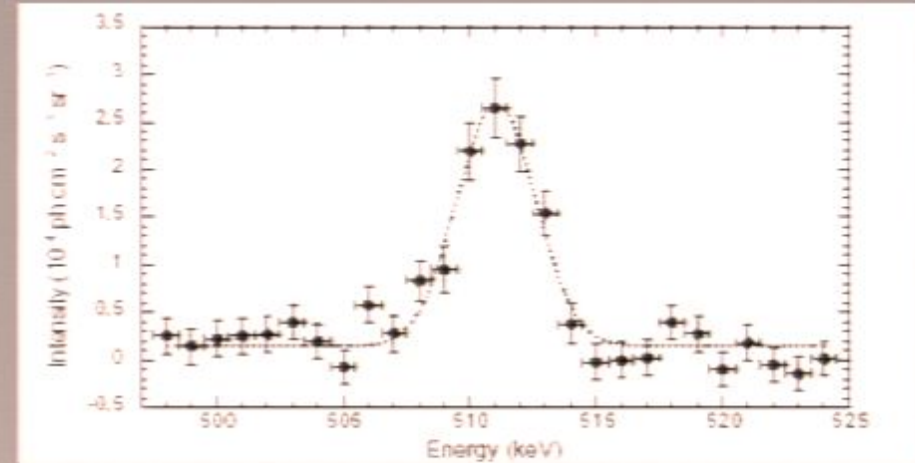
Gamma rays, e^+e^-

The 511 keV Line





INTEGRAL/ SPI 511 keV line




Light Modulus χ : Dark matter?

Mass $\sim 2\text{MeV}$, coupling to electrons dominant:

$X \rightarrow e^+ e^- \rightarrow 511 \text{ keV}$ gammas (dominant)

$X \rightarrow \frac{1}{2} M_\chi$ gammas (prediction!)

BUT observed 511 keV line lopsided?



We have found a number of weak (with the significance $3-4\sigma$) lines in the background-subtracted spectrum of SPI. These lines cancel by worse than 90% when subtracting OFF dataset (see Section 4). Apart from it we have found in the background-subtracted spectrum two lines with high significance – known lines at 511 keV and at 1809 keV. Any of these lines can in principle be a DM decay line. We analyzed each of them, by considering the profile of their intensity over the sky. Our analysis shows that none of these lines could be *pure* DM line (as their dependence on the off-GC angle does not show any clear trend to decrease towards the anti-center). The possibility that some of these lines are the superposition of instrumental and DM lines remains open. Quantitative analysis of the amount of DM flux admissible in a given line depends strongly on the model of the DM distribution in the Milky Way halo. Therefore it was not conducted here.

General Picture

- N_{small} heavy Kahler moduli (cosmological harmless)
- Volume modulus (CMP + 511 keV line+ predicted monochromatic line!) (see Boyarsky et al)
- $L \equiv h_{11} - N_{\text{small}} - 1$ lighter moduli (candidate inflatons, CMP, new monochromatic lines!! (observable?))
- CMP (late low energy inflation?)

GUT String Scale Scenarios

GUT String Scale Scenario

- GUT Scale
- Inflation Scale
- Standard Model Scale from $W_0 \ll 1$ or warping (warping + Large Volume!)
- No Cosmological Moduli Problem
- Candidate for quintessence: volume axion ($w = -0.99\dots$)
- Dark matter?
- Contact with realistic RS models
- Low-energy SUSY or No Low-Energy SUSY!!

Conclusions

- Non-perturbative effects fix only a fraction of Kahler moduli (N_{small})
- Alpha' effects fix volume to exponentially large values **(Both LARGE volume and large warping in the same class of models!?)**
- Loop corrections needed to fix the rest of Kahler moduli
- Abelian+Nonabelian Global Symmetries (approximate)
- Interesting Phenomenology/Cosmology
- GUT vs Intermediate Scale
- New large field inflation $r \sim 0.01$
- Astrophysics (forest of monochromatic lines?)
- CMP? Reheating?
- Fully realistic model?