

Title: Long-lived Staus in the early Universe and at the LHC

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Abstract:

Long-lived Staus in the Early Universe and at the LHC

Koichi Hamaguchi (Tokyo U. and IPMU)

at BBN workshop, Perimeter Institute, May'08

based on the works

KH, T.Hatsuda, M.Kamimura, Y.Kino, T.T.Yanagida '07; (= M.Kamimura et.c

KH, M.M.Nojiri, A.de Roeck '06;

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+ Buchmuller, Covi, KH, Ibarra, Yanagida,'07

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Summary

(Wine is waiting for us...)

- In SUSY, **Gravitino LSP** and **Stau NLSP** with a long lifetime $\tau > O(1)$ sec (especially > 1000 sec) is a natural choice.
→ may affect the **BBN!**
- It can be **tested** at the **LHC!**
 - can precisely measure the **mass**,
 - and hence the thermal relic **abundance**,
 - and **if staus can be trapped**,
the **lifetime** can also be precisely measured !

Introduction

- As we've heard so far in this workshop,.....
- Charged particle X^- with $\tau_X > O(1)$ sec (especially > 1000 sec) [Catalyzed BBN, Pospelov,'06] may affect/jeopardize/help the BBN!
- I discuss such a possibility in SUSY.

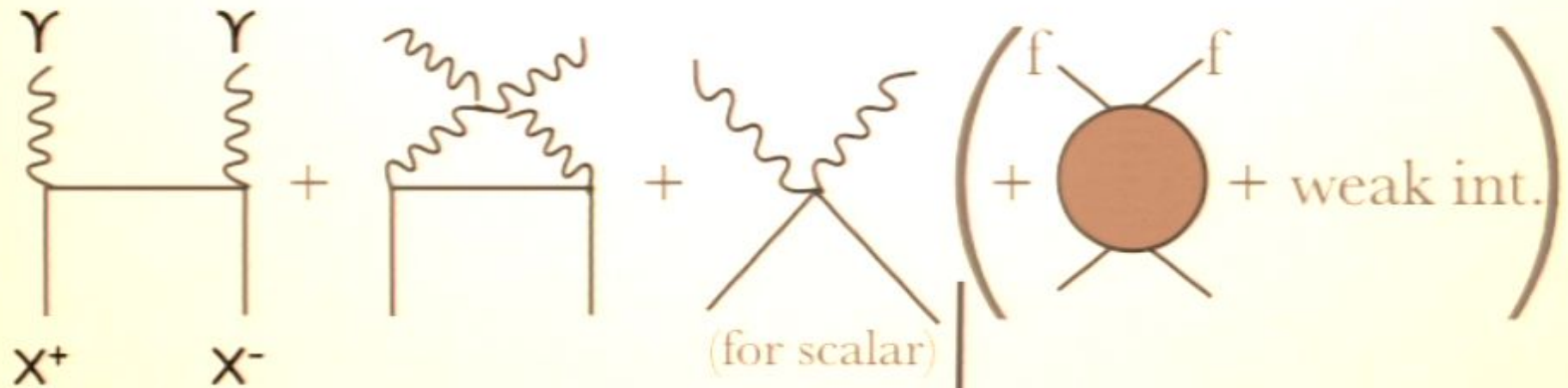
- before discussing SUSY, some general comments on X^- :
- in general,.....

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$$\frac{n_{X^-}}{s} \Big|_{\text{thermal relic}} = \mathcal{O}(0.1-1) \times 10^{-13} \left(\frac{m_X}{100 \text{ GeV}} \right)$$

$$\Leftrightarrow \frac{n_{X^-}}{n_B} \Big|_{\text{thermal relic}} = \mathcal{O}(0.1-1) \times 10^{-3} \left(\frac{m_X}{100 \text{ GeV}} \right)$$



model independent, **just QED!**

model dependent, but only $O(1)$ effects

$$\langle \sigma v (X^+ X^- \rightarrow \gamma\gamma) \rangle = \frac{\pi \alpha_{\text{em}}^2}{m_X^2} \left(\begin{array}{l} \times 1 \text{ for fermion,} \\ \times 2 \text{ for scalar} \end{array} \right)$$

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$$\frac{n_{X^-}}{s} \Big|_{\text{thermal relic}} = \mathcal{O}(0.1-1) \times 10^{-13} \left(\frac{m_X}{100 \text{ GeV}} \right)$$

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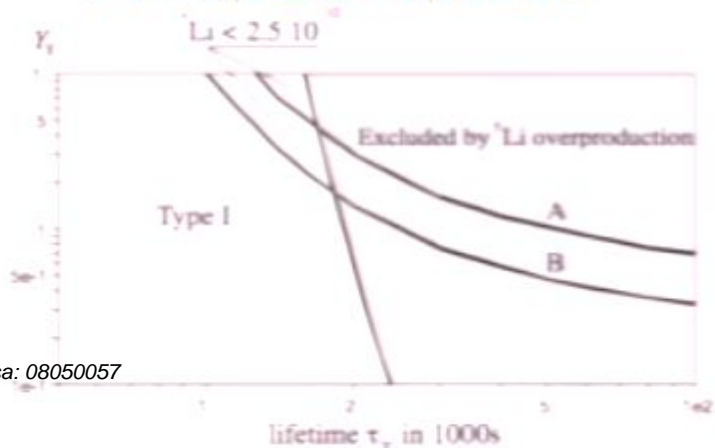
- Thus, e.g., $n_{X^-}/n_B \gtrsim 0.04$ requires $m_X > \mathcal{O}(\text{TeV})$.

cf. possible solution to ${}^7\text{Li}$ problem

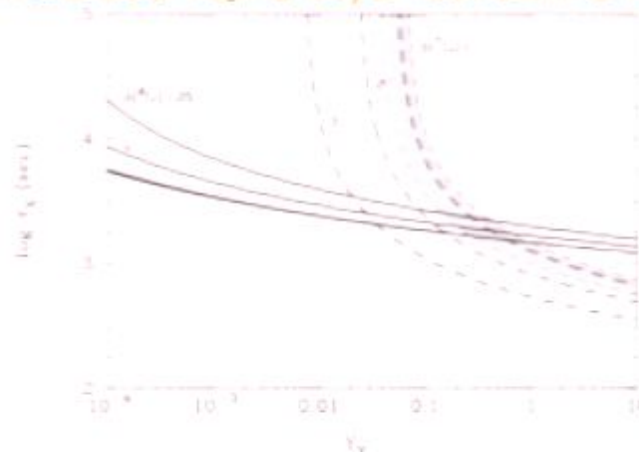
(exception: non-thermal production)

hard to see at the LHC

Bird, Koopmans, Pospelov, '07;



Kusakabe, Kajino, Boyd, Yoshida, Mathews '07



- before discussing SUSY, some general comments on X^- :

- in general,.....

$$\begin{aligned} \frac{n_{X^-}}{s} \Big|_{\text{thermal relic}} &= \mathcal{O}(0.1-1) \times 10^{-13} \left(\frac{m_X}{100 \text{ GeV}} \right) \\ \Leftrightarrow \frac{n_{X^-}}{n_B} \Big|_{\text{thermal relic}} &= \mathcal{O}(0.1-1) \times 10^{-3} \left(\frac{m_X}{100 \text{ GeV}} \right) \end{aligned}$$

- On the other hand,

$$\underline{m_X \gtrsim 100 \text{ GeV (LEP bound)}}$$

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$$\underline{m_X \gtrsim 100 \text{ GeV (LEP bound)}}$$

$$\Rightarrow n_{X^-}/s \gtrsim \mathcal{O}(0.1-1) \times 10^{-13}$$

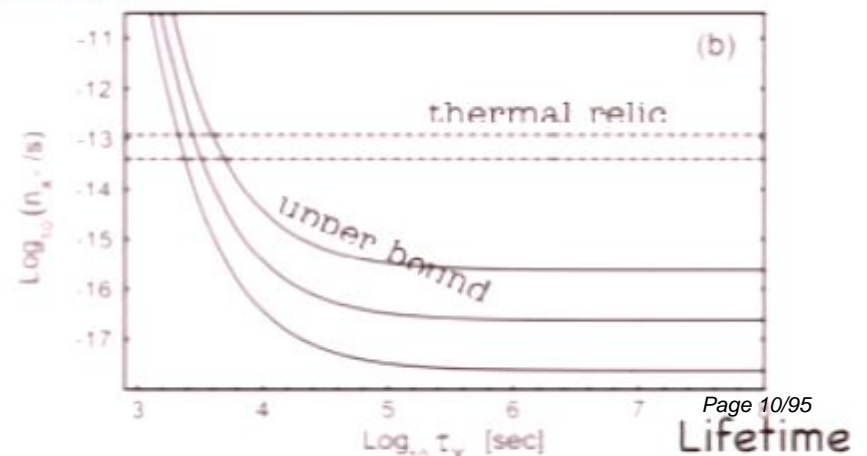
$$\Rightarrow \tau_X < 10^4 \text{ sec } ({}^6\text{Li})$$

M.Pospelov'06 + others

exception:

entropy production / low reheating
cf. Buchmuller, KH, Ibe, Yanagida,06; Takayama,07

abundance



now let's discuss in the framework of **SUSY**...

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In SUSY, a long-lived charged particle is realized in models with

Gravitino LSP

+

Stau NLSP

(**LSP** = the **L**ightest **SUSY P**article
NLSP = the **N**ext-to-**L**ightest **SUSY P**article

another possibility:
neutralino LSP + stau NLSP
with degenerate masses

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Pirsa: 08050057, Kohri, Koike, Sato,
Shimomura, Yamanaka, '07, '08)

But,...

- Why Gravitino LSP?
- (What is Gravitino?)
- Why Stau NLSP?
- Why $T_{\text{stau}} > 1 \text{ sec}$ (or $O(1000) \text{ sec}$) ?
- How natural are those choices from particle physics viewpoint?

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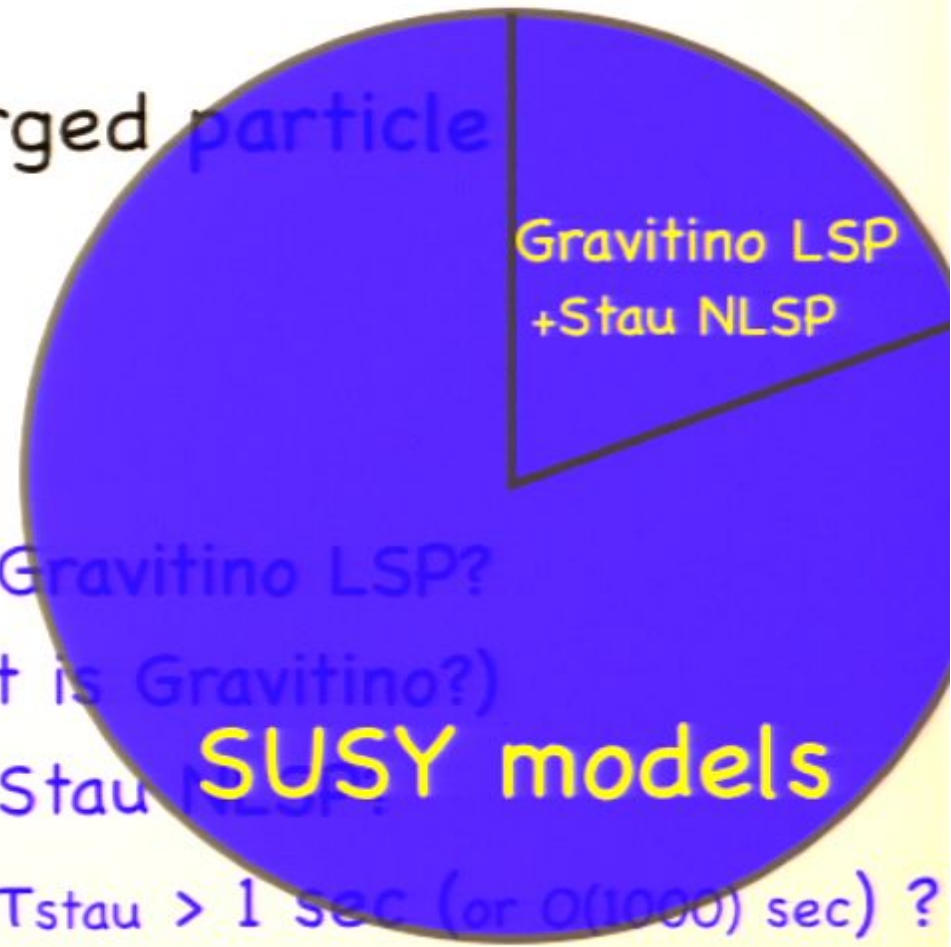
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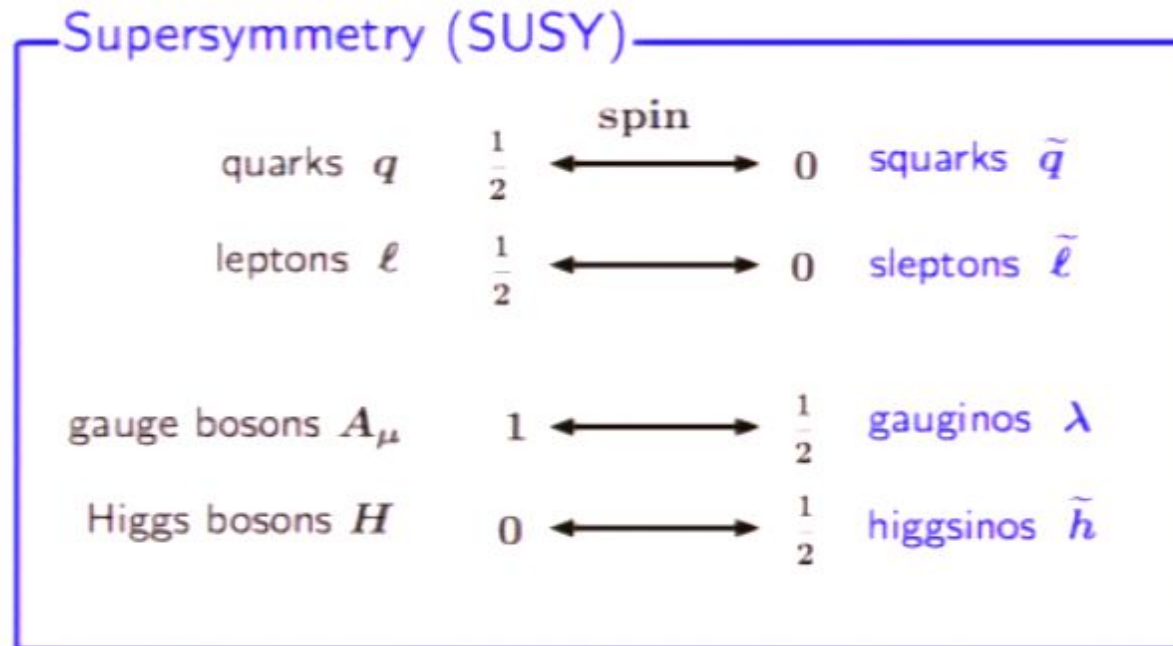
- What is Gravitino?

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	spin
quarks q	$\frac{1}{2}$
leptons ℓ	$\frac{1}{2}$
gauge bosons A_μ	1
Higgs bosons H	0

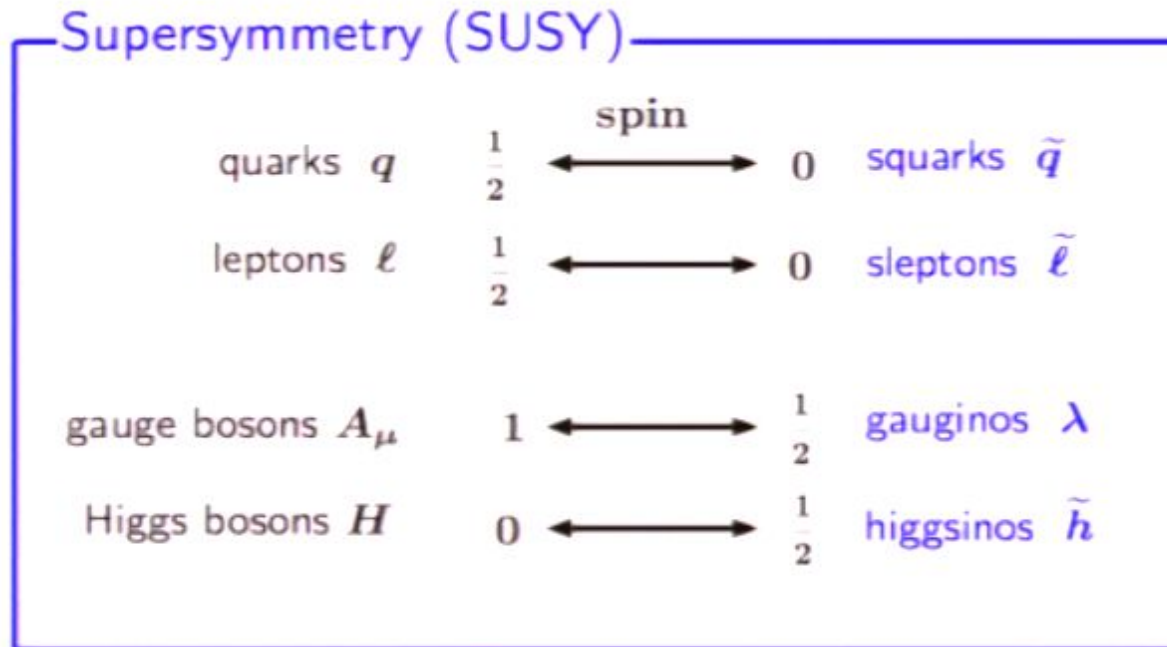
Standard Model

- What is Gravitino?



- (1) solves the **naturalness** problem
- (2) leads to **coupling unification**
- (3) has **dark matter** candidate

- What is Gravitino?



gravitino e_{μ}^{α}

- What is Gravitino?

Superstring

Supergravity

Supersymmetry (SUSY)

quarks q	$\frac{1}{2}$	← spin →	0	squarks \tilde{q}
leptons ℓ	$\frac{1}{2}$	← spin →	0	sleptons $\tilde{\ell}$
gauge bosons A_μ	1	← spin →	$\frac{1}{2}$	gauginos λ
Higgs bosons H	0	← spin →	$\frac{1}{2}$	higgsinos \tilde{h}

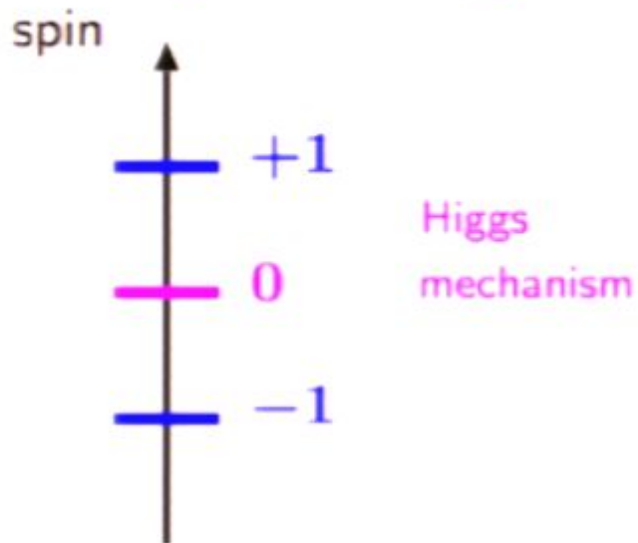
graviton e_μ^α 2 ← spin → $\frac{3}{2}$ gravitino \tilde{G}

extremely weakly interacting

- What is Gravitino?

Compare it with Electroweak Symmetry

Electroweak symmetry
→ spontaneously broken



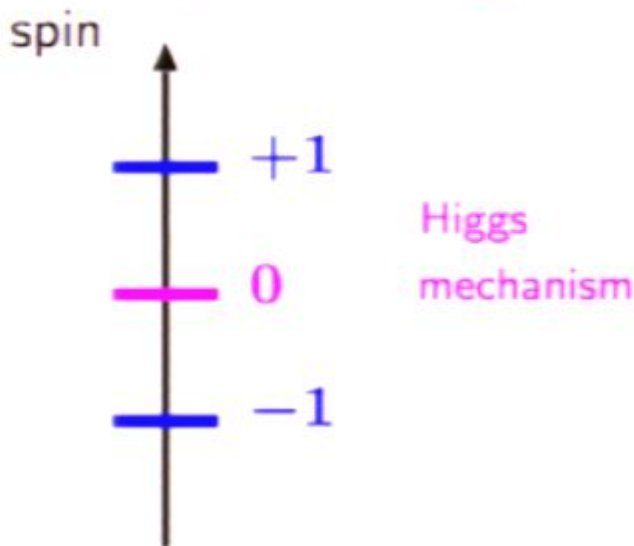
Z, W bosons

- discovered in 1983
- establish Standard Model

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Compare it with Electroweak Symmetry

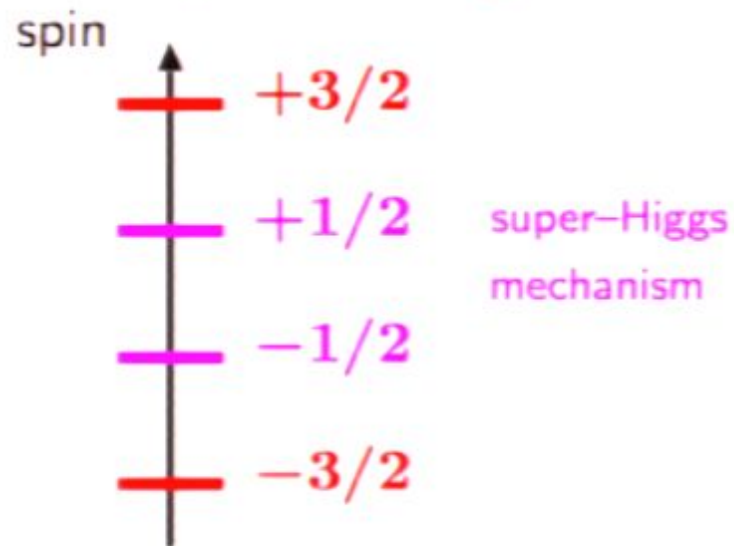
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Z, W bosons

- discovered in 1983
- establish **Standard Model**

Supergravity
→ spontaneously broken



Gravitino

- discovered in 20XX (?!)
- establish **Supergravity !!**

- What is Gravitino?

Compare it with Electroweak Symmetry

Electroweak symmetry
→ spontaneously broken

Supergravity
→ spontaneously broken

gauge boson mass

$$m_V = g \langle \varphi \rangle$$

gauge coupling

Higgs VEV

gravitino mass

$$m_{\tilde{G}} = \frac{1}{\sqrt{3}M_P} \langle F \rangle$$

SUGRA coupling

SUSY breaking VEV

- Why Gravitino LSP ?

- Why Gravitino LSP ?
- among 29 SUSY particles?

squarks : $\begin{pmatrix} \widetilde{u}_L \\ \widetilde{d}_L \end{pmatrix}_i \quad \widetilde{u}_{Ri} \quad \widetilde{d}_{Ri}$ sleptons : $\begin{pmatrix} \widetilde{\nu}_L \\ \widetilde{e}_L \end{pmatrix}_i \quad \widetilde{e}_{Ri}$

gauginos and higgssinos : $\widetilde{\chi}_i^0, \quad \widetilde{\chi}_i^\pm, \quad \widetilde{g}$

gravitino : \widetilde{G}

- Why Gravitino LSP ?



Dark Matter in SUSY

R-parity ... to avoid too rapid baryon/lepton number violation

Standard Model particle: $A \rightarrow A$

SUSY partner particle: $B \rightarrow -B$

Interactions

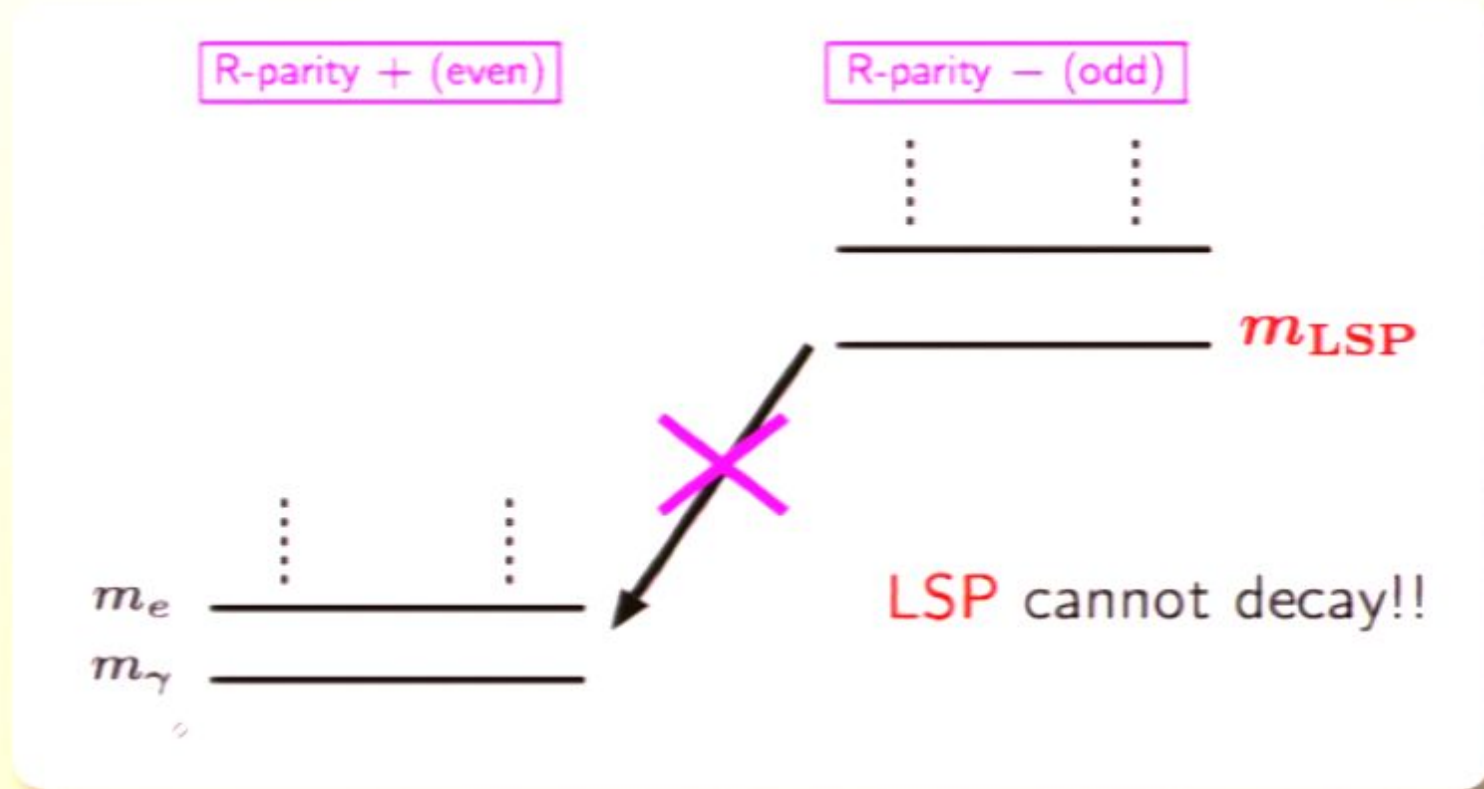
- $\begin{matrix} B & A_1 & A_2 \\ - & + & + \end{matrix}$ forbidden  $B \rightarrow A_1 + A_2$
- $\begin{matrix} B_1 & B_2 & A \\ - & - & + \end{matrix}$ allowed  $B_1 \rightarrow B_2 + A$

- Why Gravitino LSP ?

Dark Matter in SUSY

In SUSY models + R-parity,

LSP (=Lightest SUSY Particle) is **stable**.



- Why Gravitino LSP ?

Dark Matter candidates in SUSY Standard Model

In SUSY Standard Model in SUGRA,.....

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neutral and color-singlet

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excluded by direct
detection experiment
(cf. Falk, Olive, Srednicki,'94)

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neutral and color-singlet

Only Neutralino and Gravitino are viable candidates!

• Why Gravitino LSP ?

experimental bound \sim naturalness \sim

- Other SUSY particle masses = $O(100 \text{ GeV}) - O(1 \text{ TeV})$
- Gravitino mass..... model dependent.

Gravitino mass



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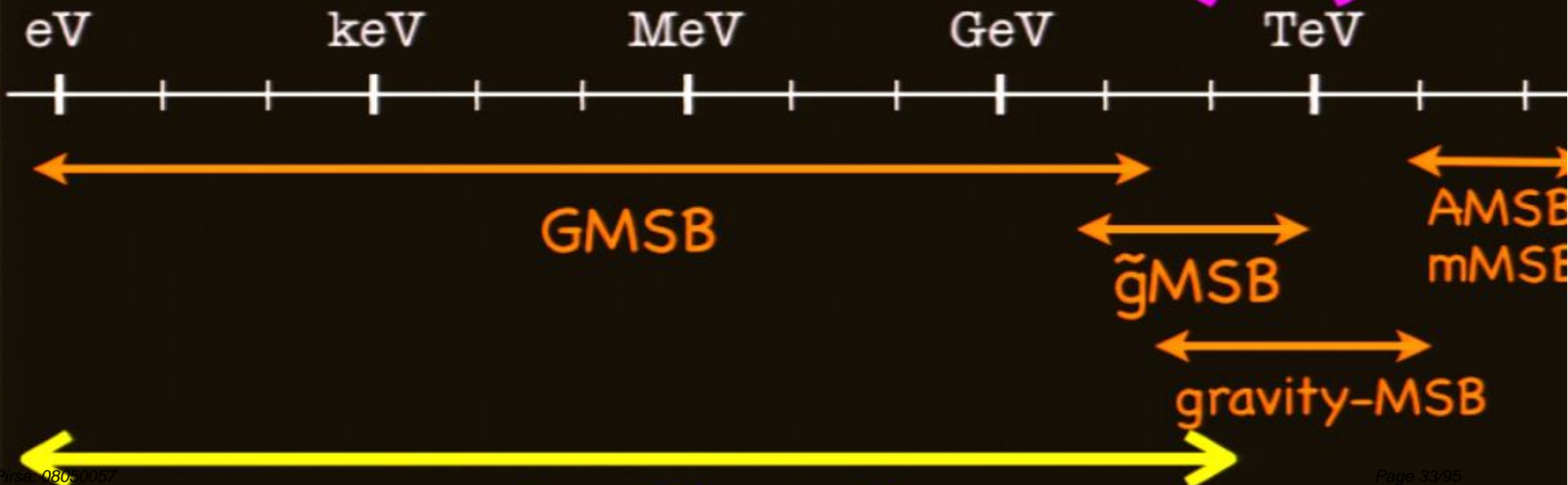


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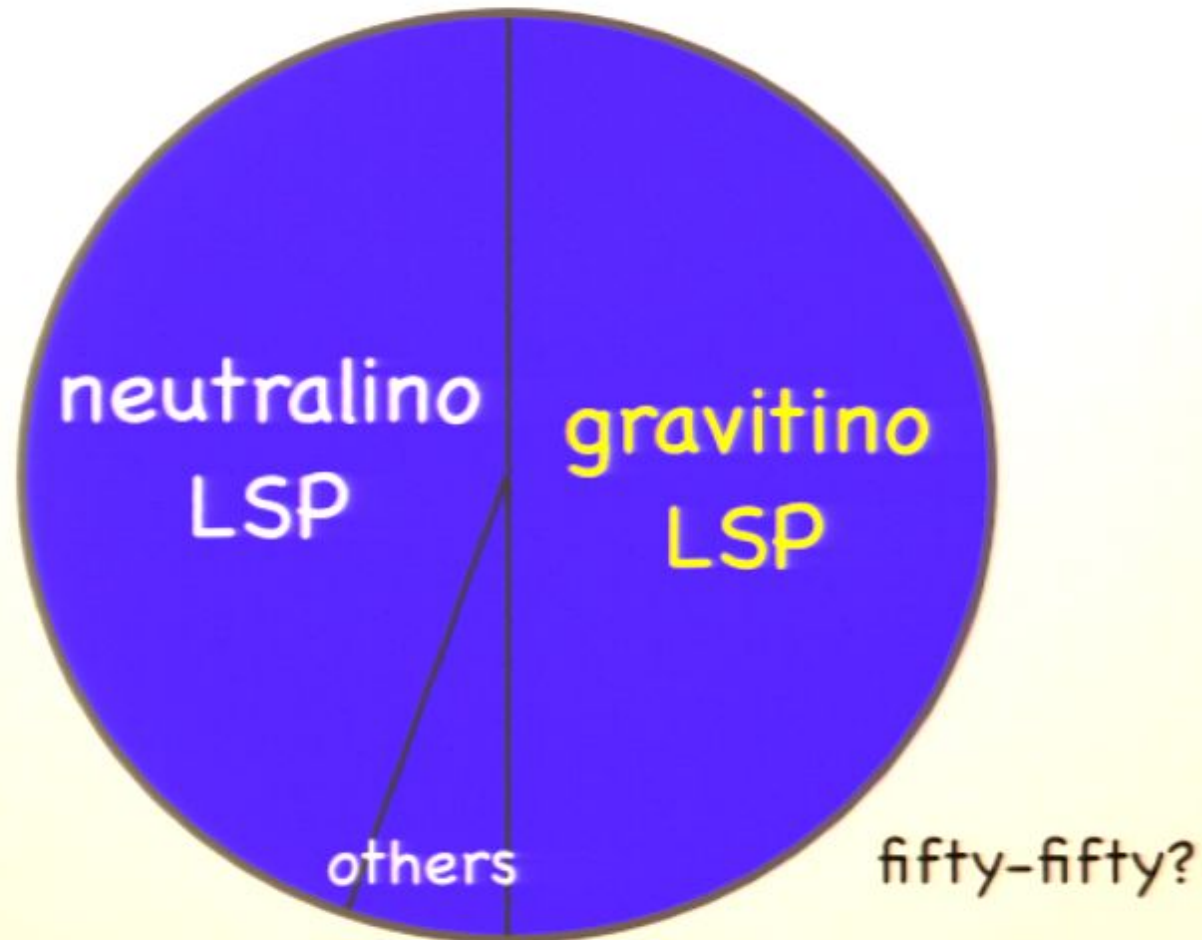
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Gravitino mass



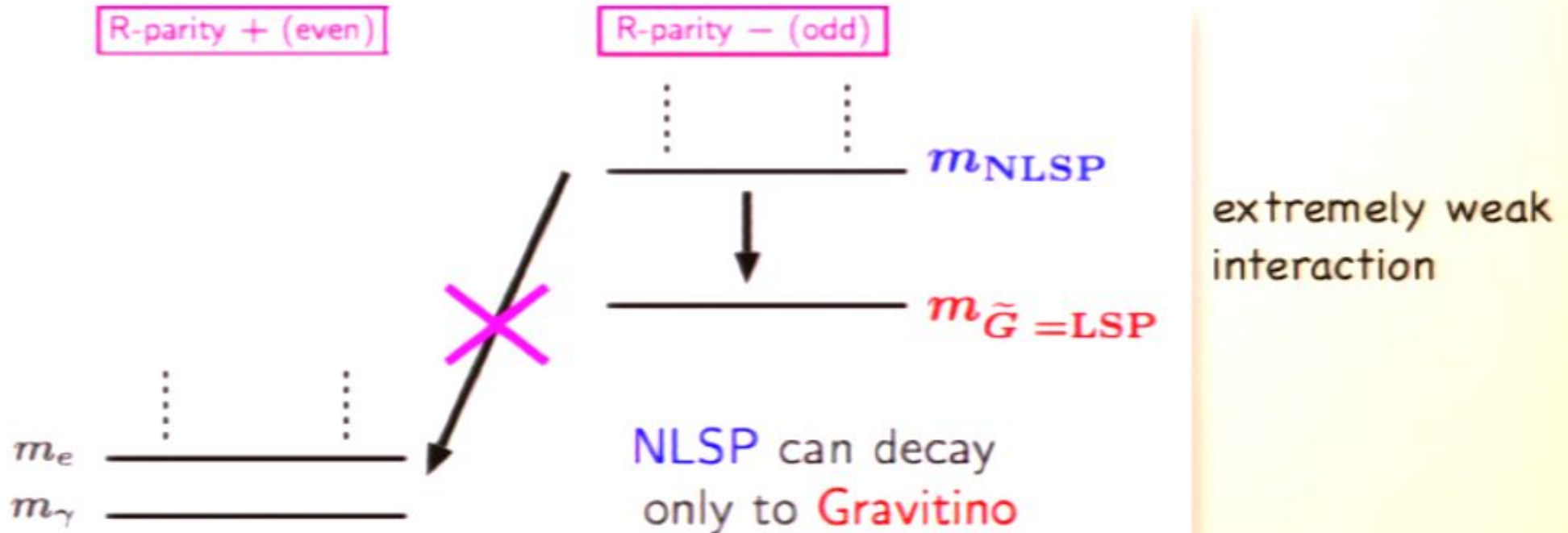
- Why Gravitino LSP ?

SUSY models



NLSP (Next-to-Lightest SUSY Particle)

In **Gravitino LSP** scenario, the **NLSP** is long-lived.



- Why Stau NLSP ?

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- among 28 NLSP candidates?

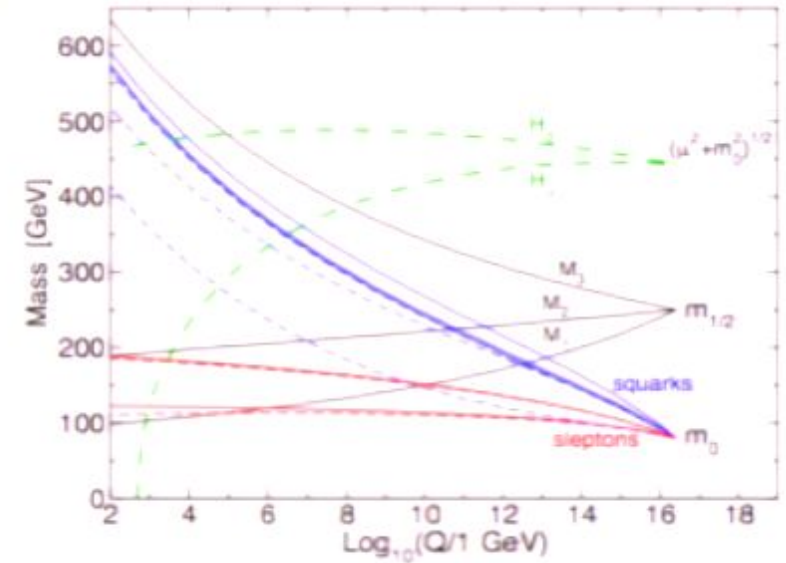
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gauginos and higgsinos : $\widetilde{\chi}_i^0, \quad \widetilde{\chi}_i^\pm, \quad \widetilde{g}$ **stau (i=3)**

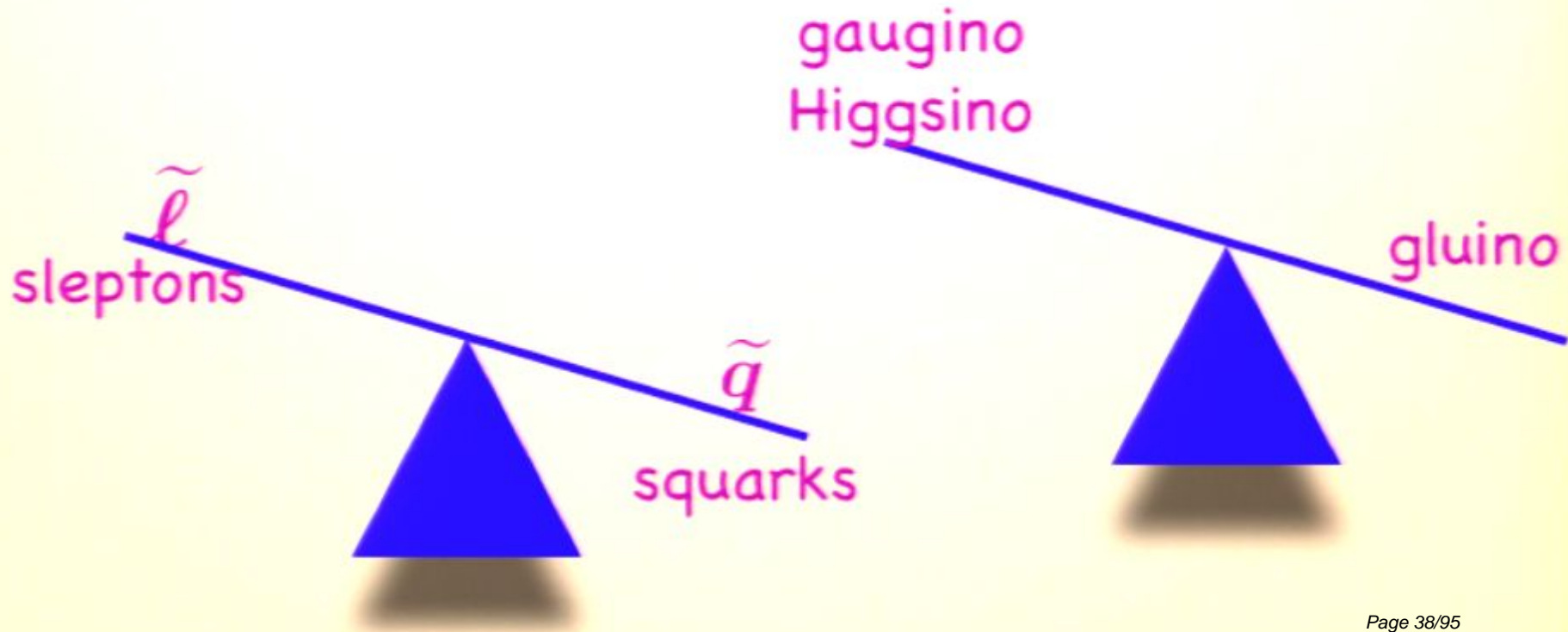
gravitino : \widetilde{G}

- Why Stau NLSP ?

- In general, from RGE, tendency is
 - $M(\text{color singlet}) < M(\text{colored})$

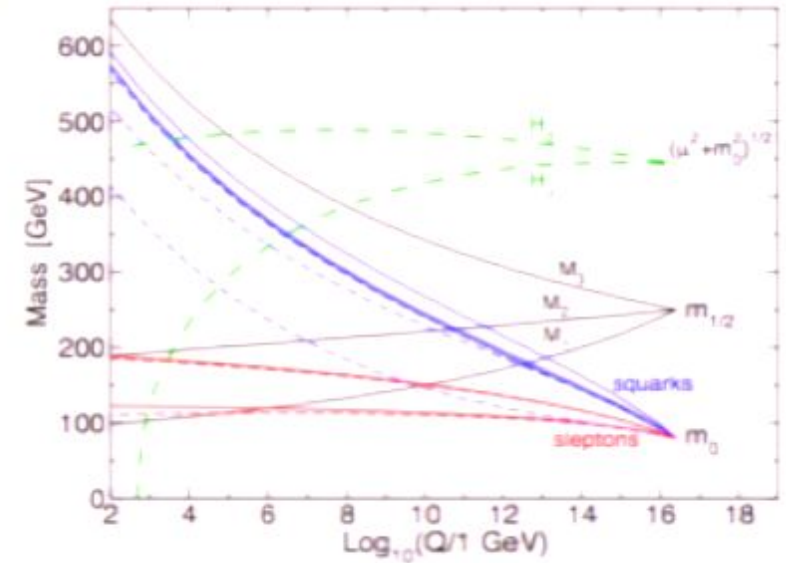


typical RG evolution (from S.P.Martin, hep-ph/97093)



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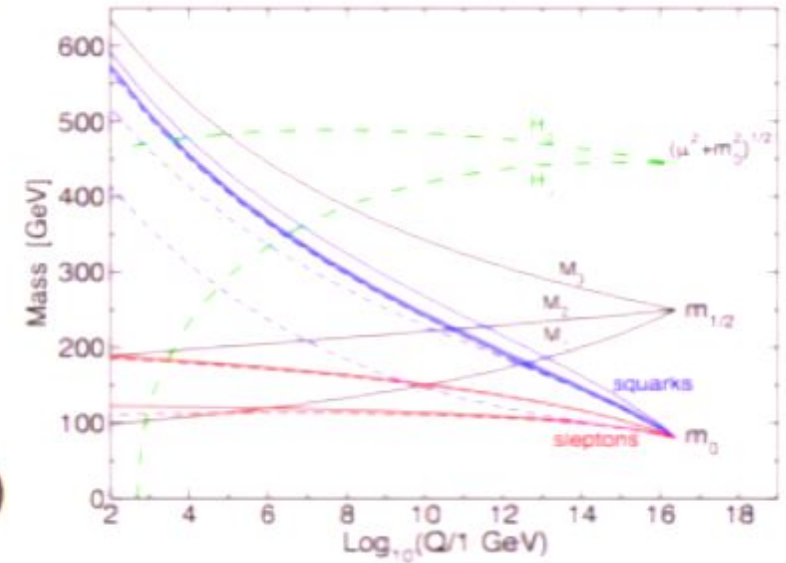


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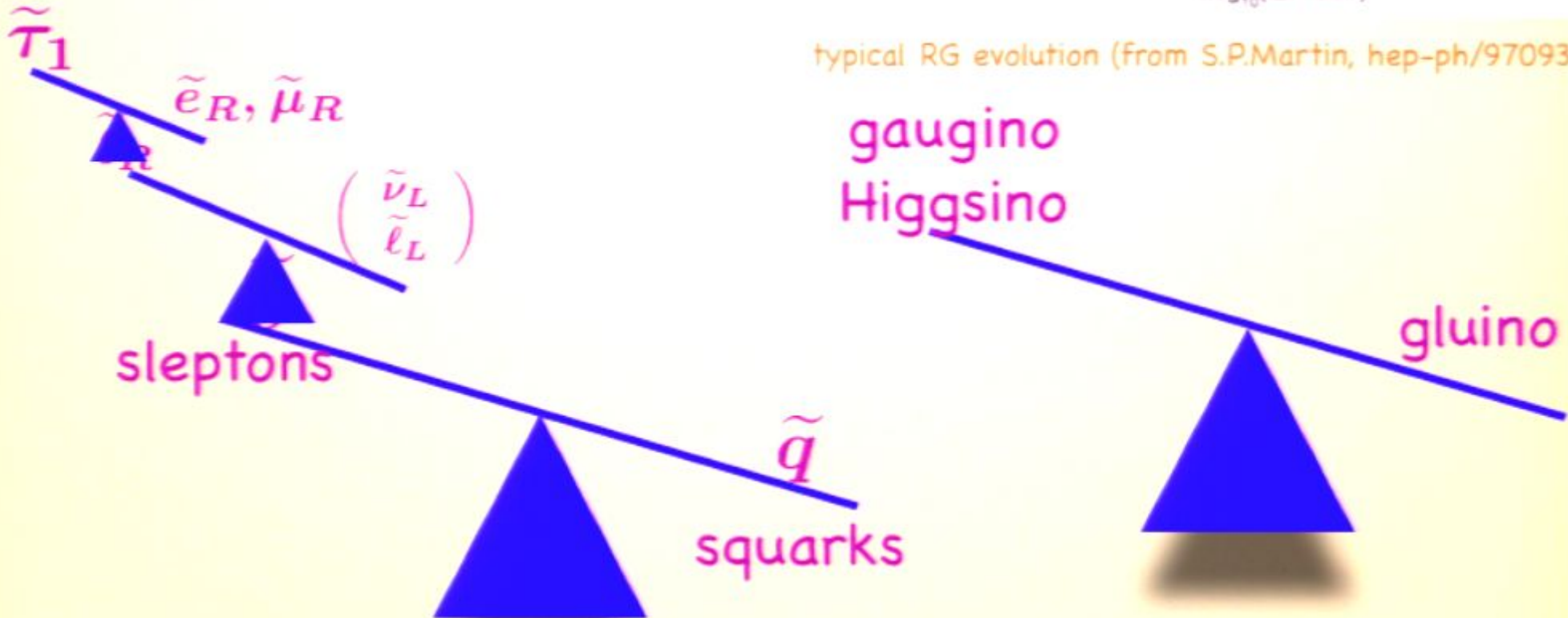


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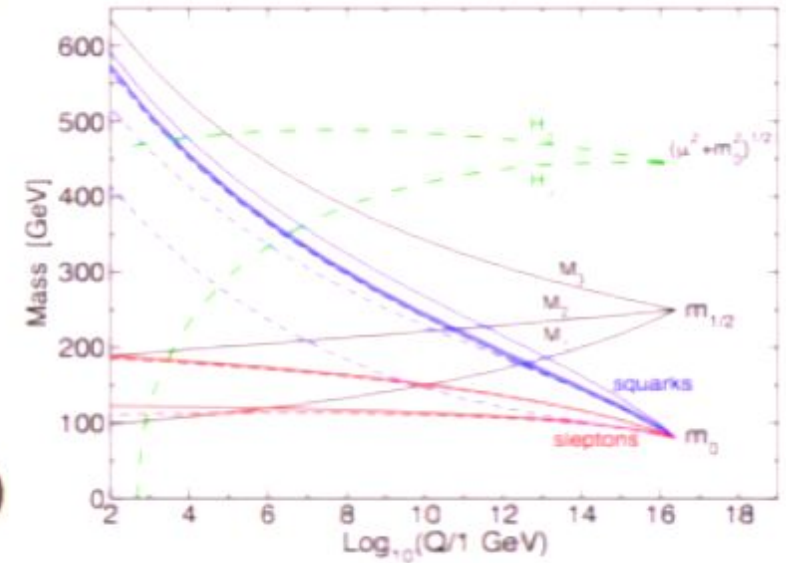


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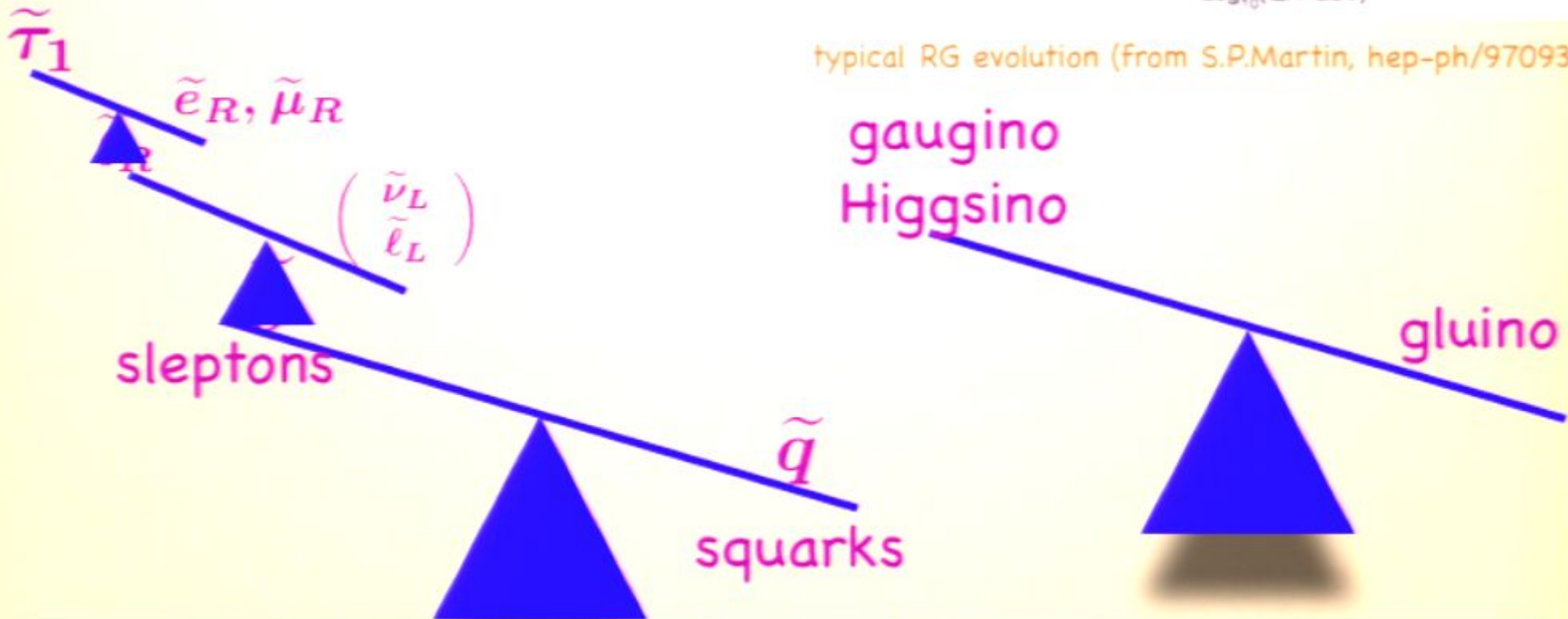


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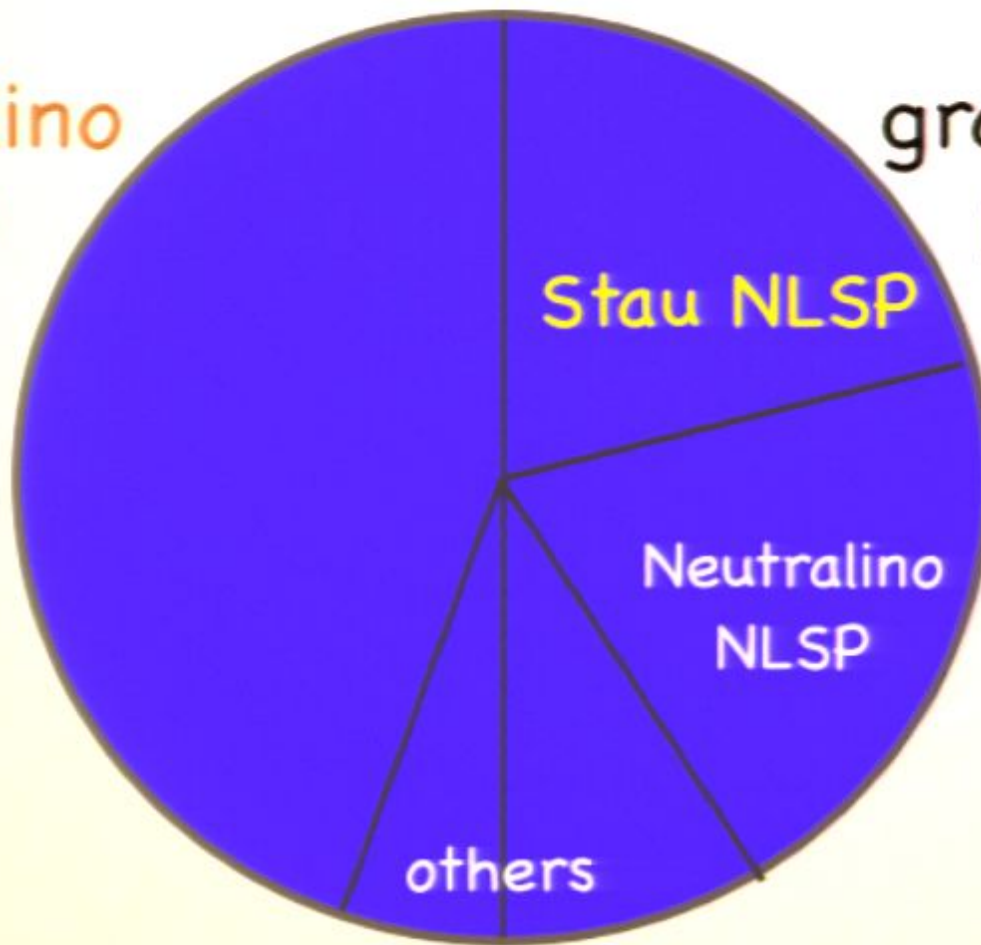
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- Why Stau NLSP ?

SUSY models

neutralino
LSP



gravitino
LSP

- Gravitino LSP and Stau NLSP is a natural choice

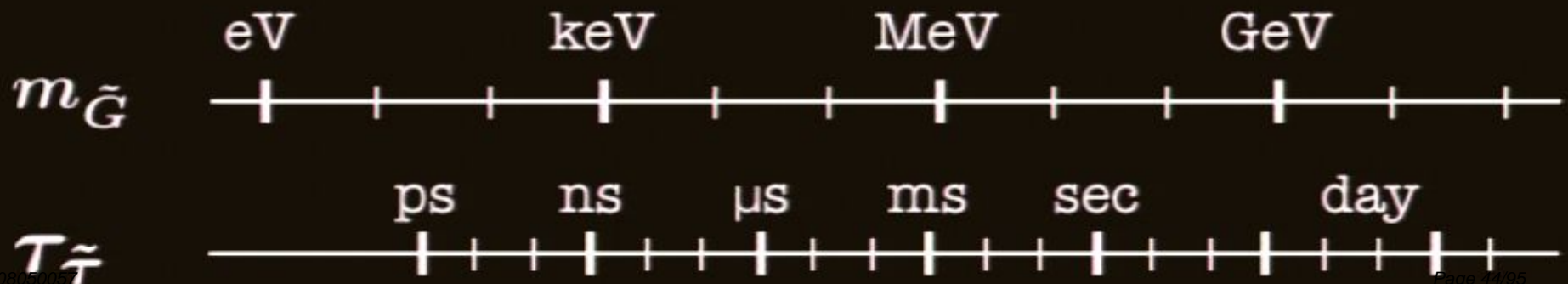
- Why $T_{\text{tau}} > 1 \text{ sec}$ (or $O(1000) \text{ sec}$) ?

- Why $T_{\text{stau}} > 1 \text{ sec}$ (or $O(1000) \text{ sec}$) ?

$$\Gamma(\tilde{\tau} \rightarrow \tilde{G}\tau) \simeq \frac{m_{\tilde{\tau}}^5}{48\pi m_{\tilde{G}}^2 M_{\text{pl}}^2} \left(1 - \frac{m_{\tilde{G}}^2}{m_{\tilde{\tau}}^2}\right)^4$$

Lifetime of Stau

e.g., for $m(\text{stau}) = 200 \text{ GeV}$

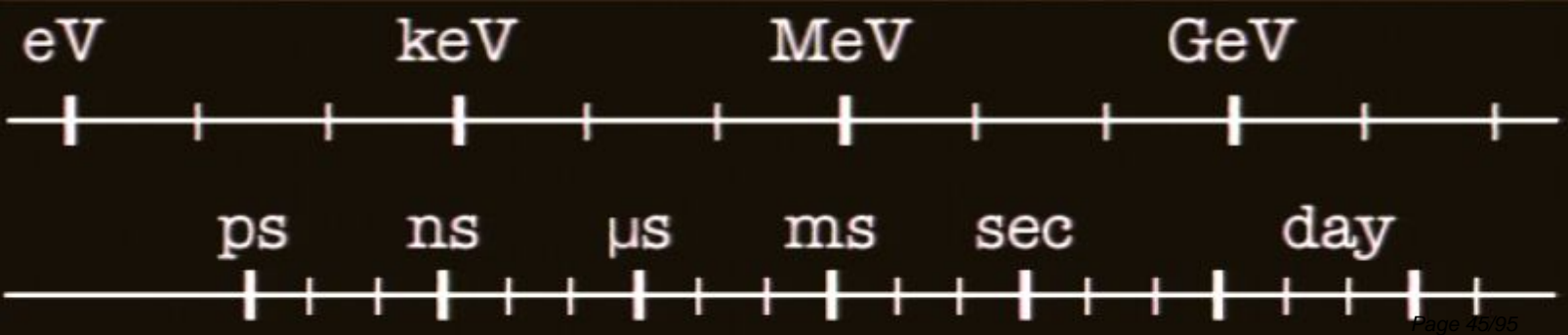
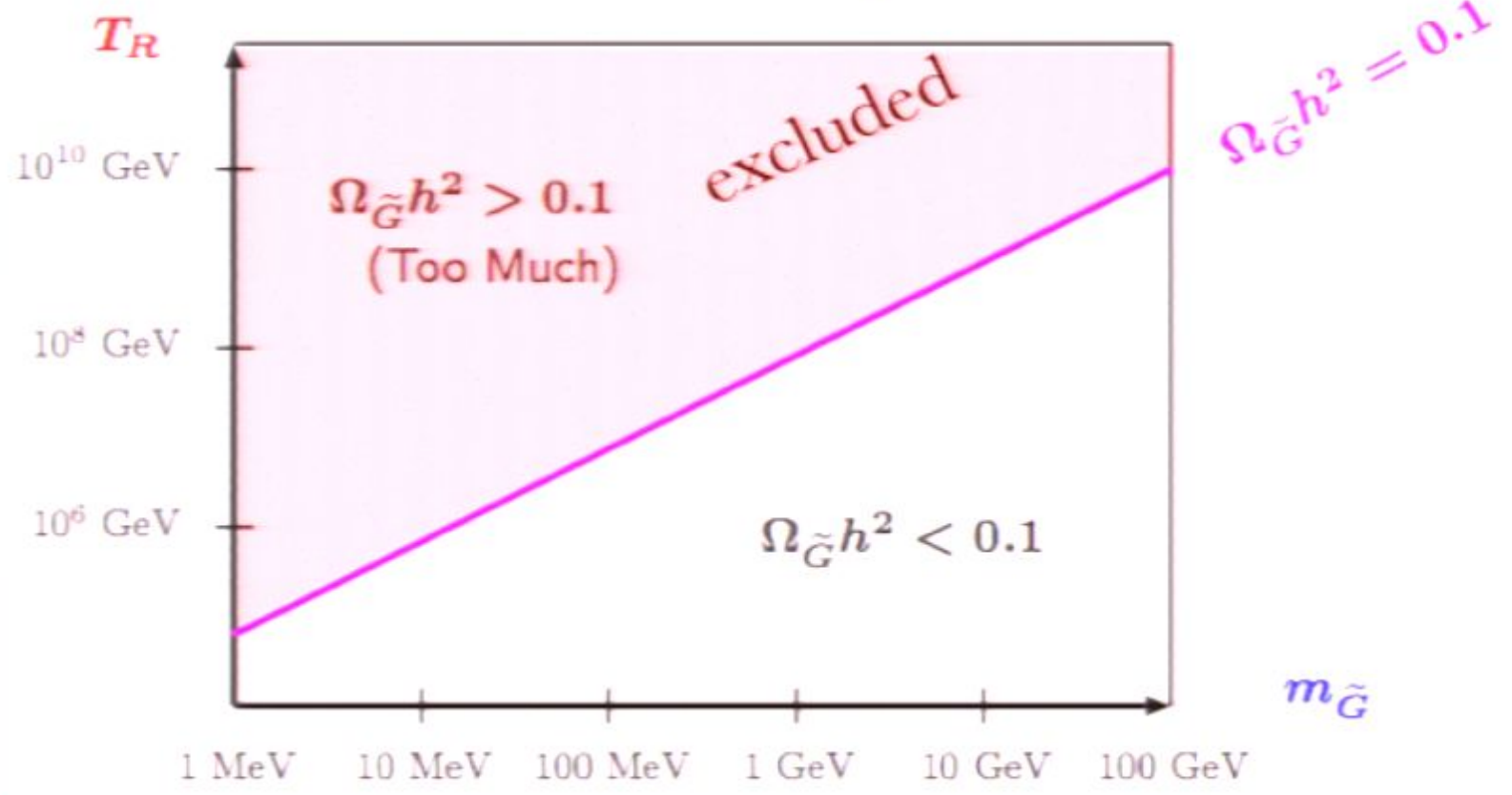


• Why Ts

Lifetime

• Gravitino Problem (for stable gravitino)

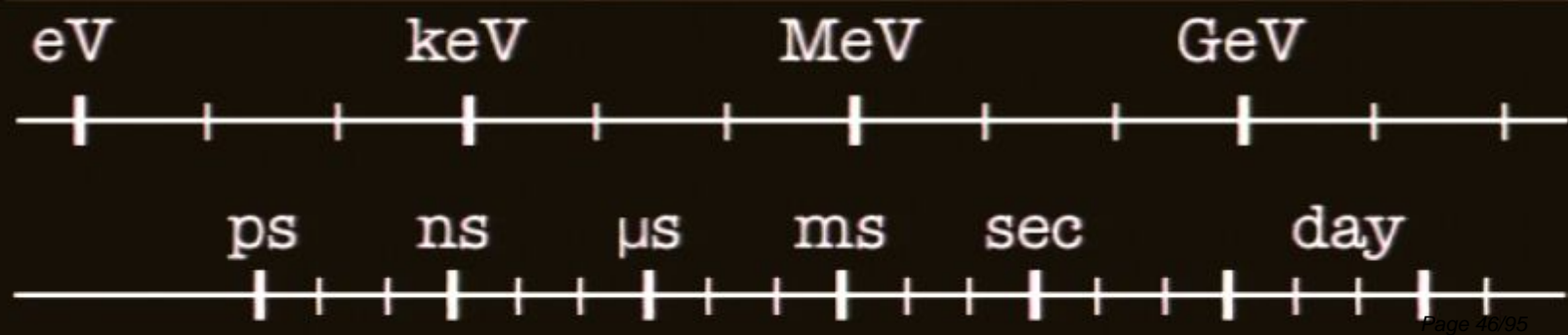
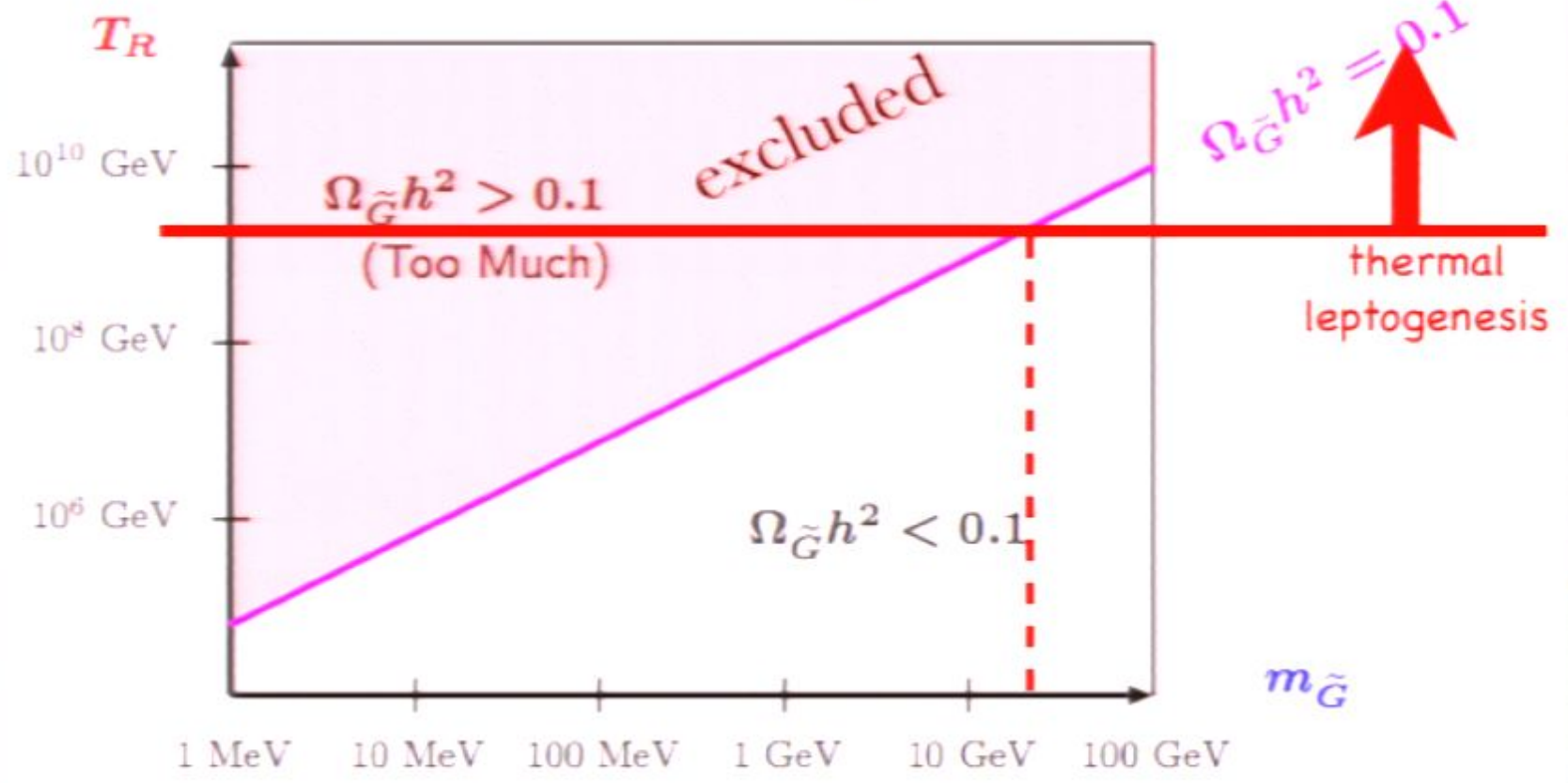
cf. talks by F.D.Steffen and J.Pradler.



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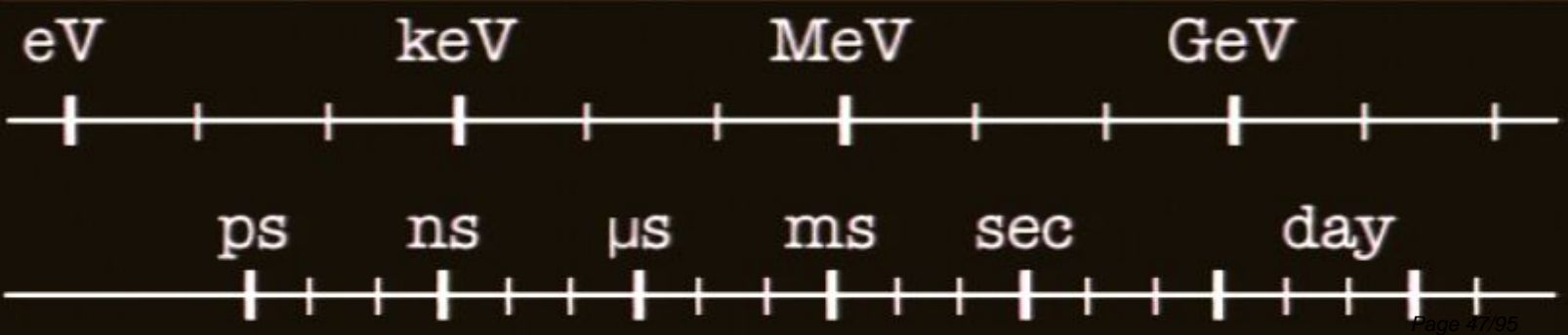
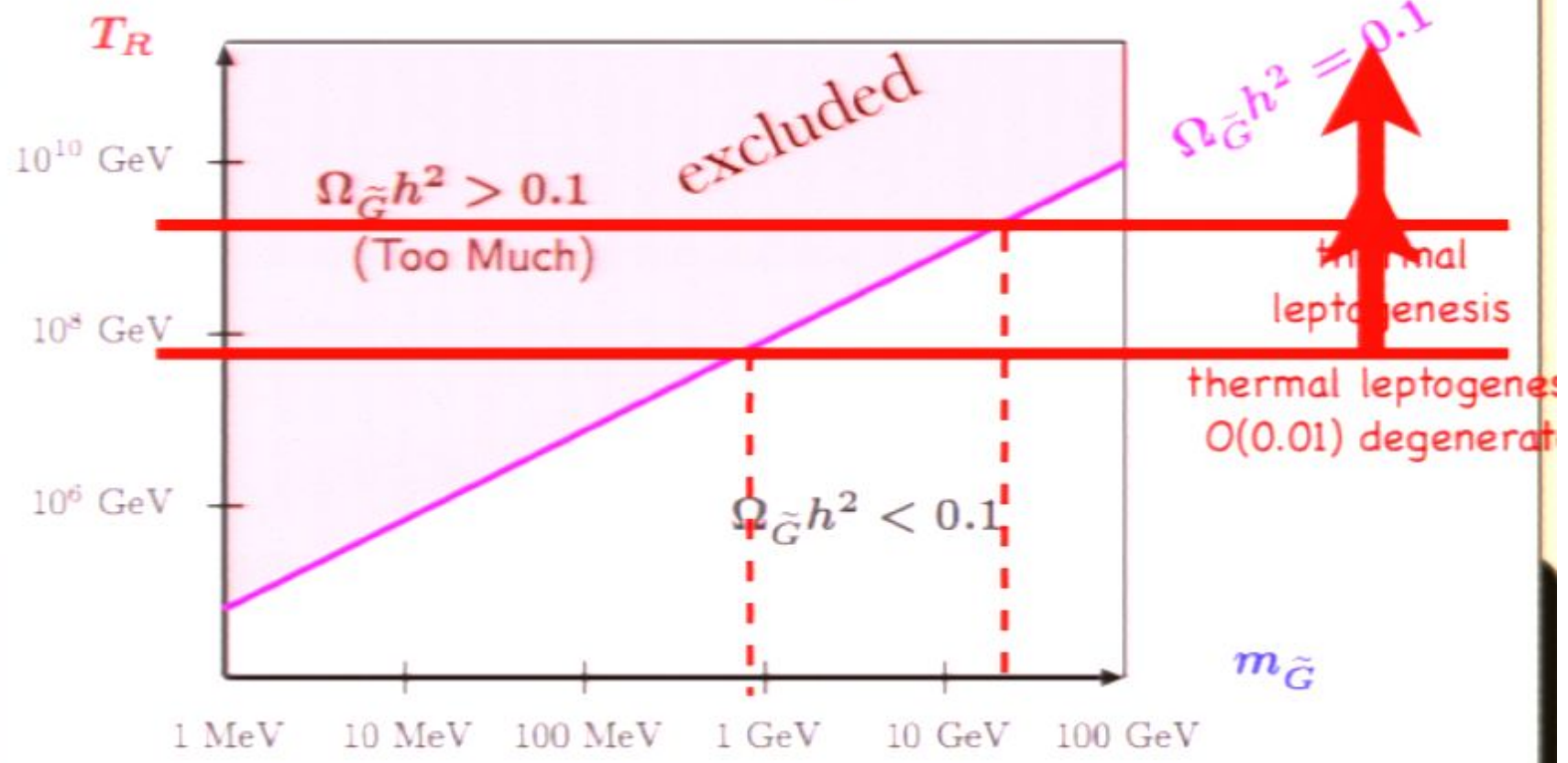


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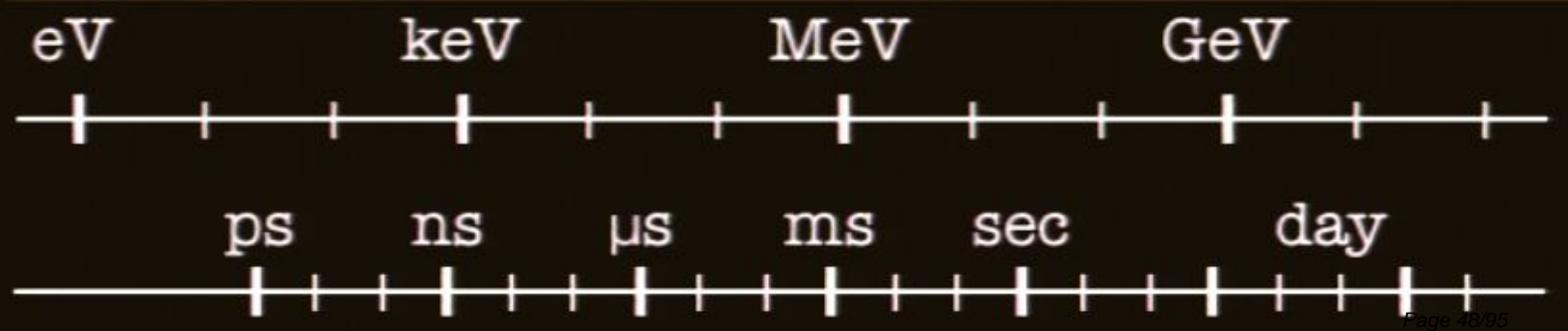
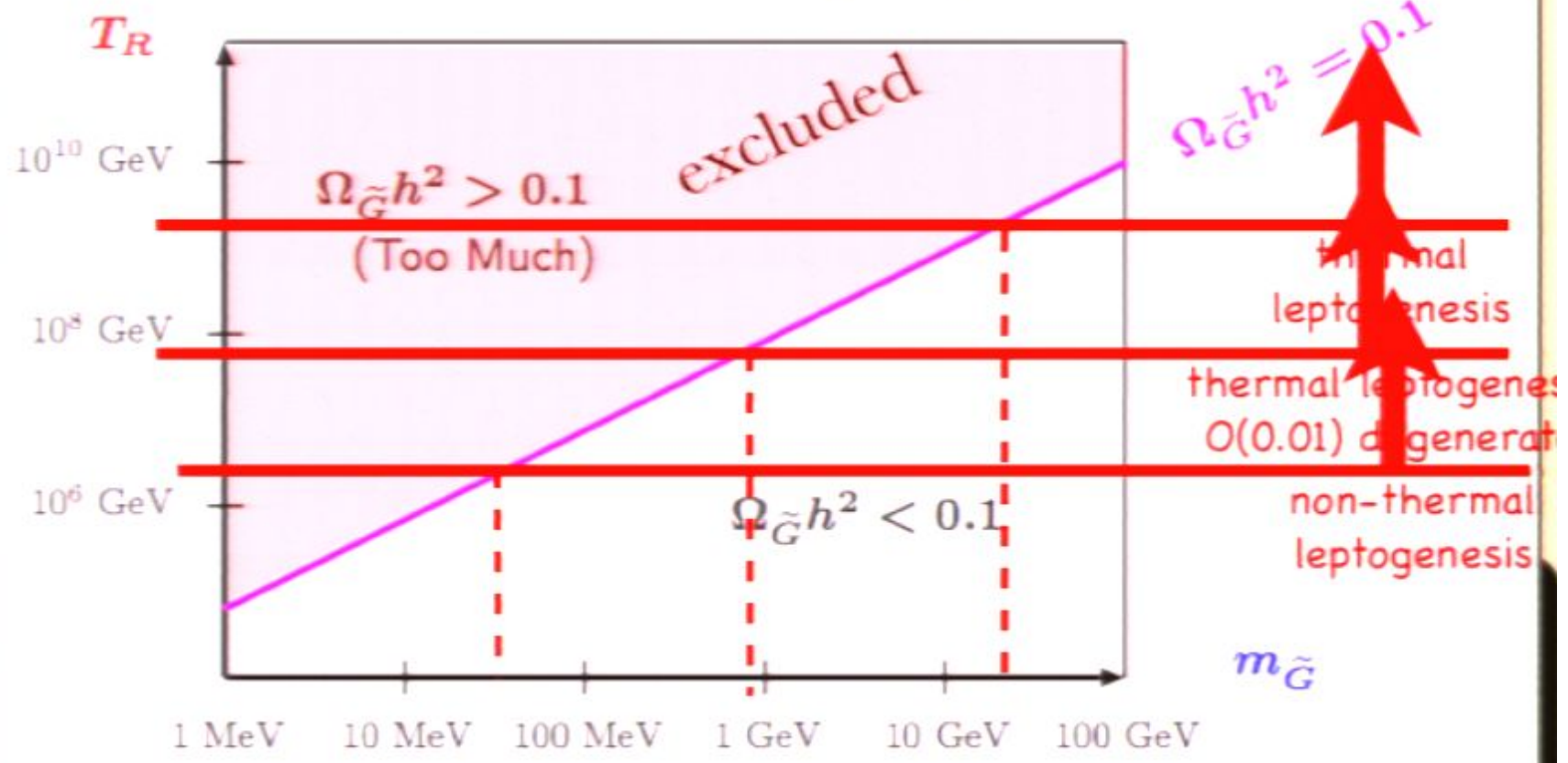


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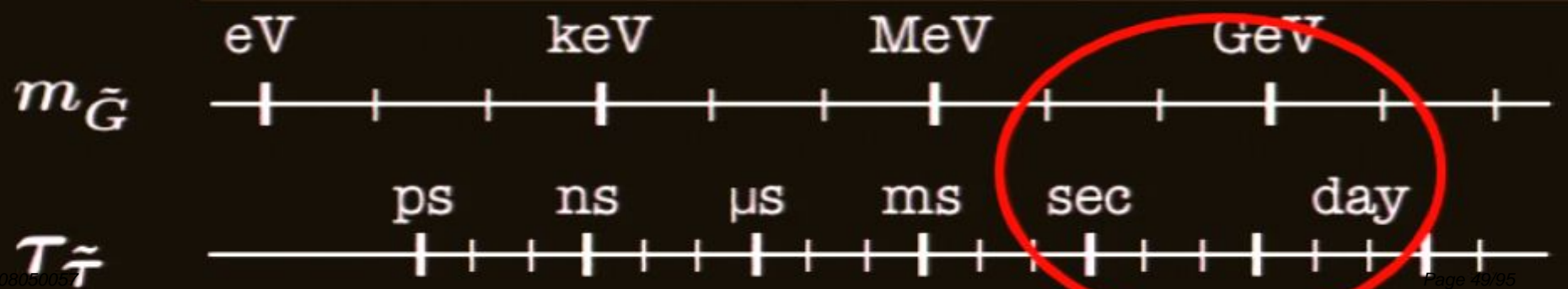
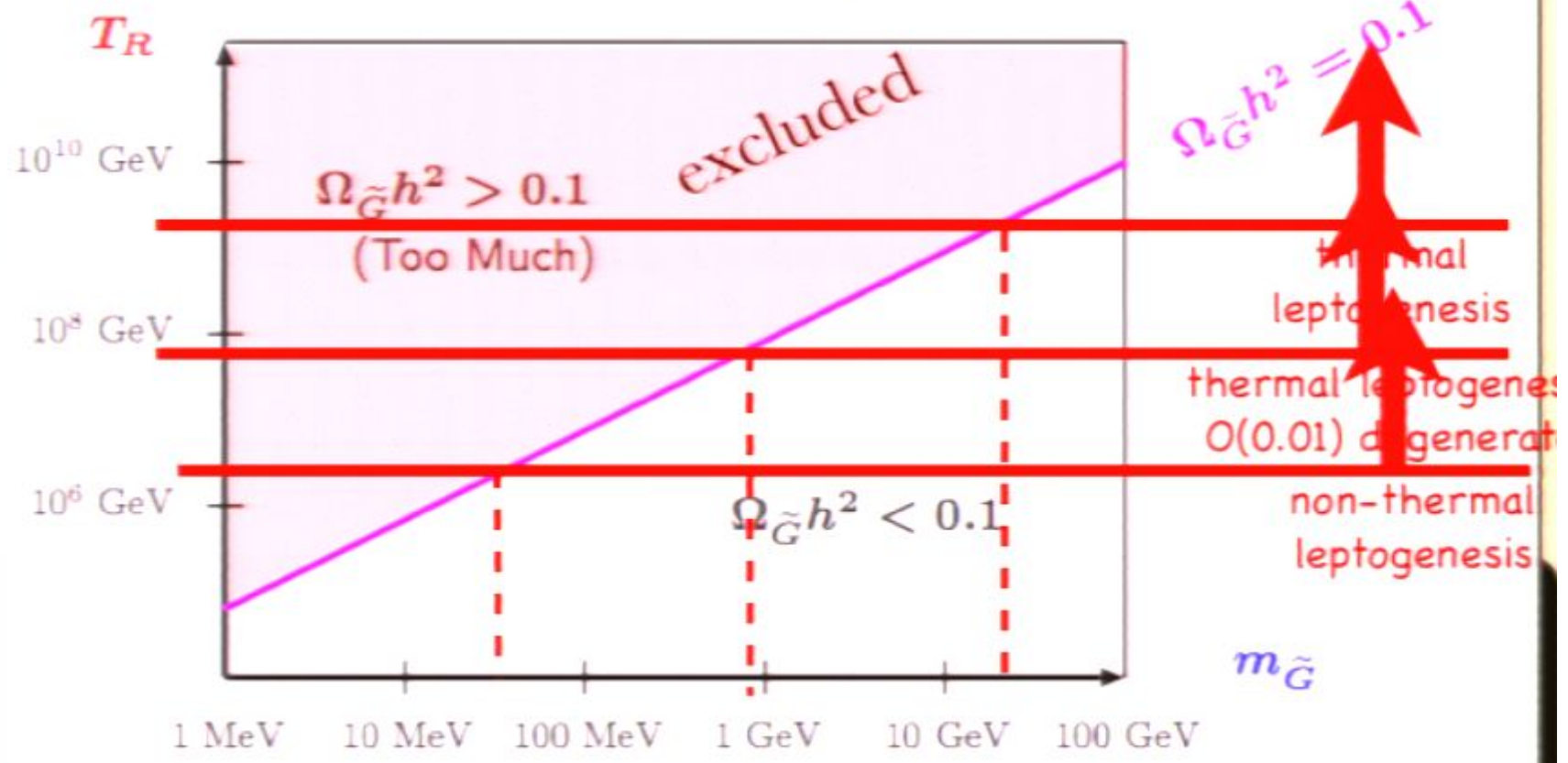


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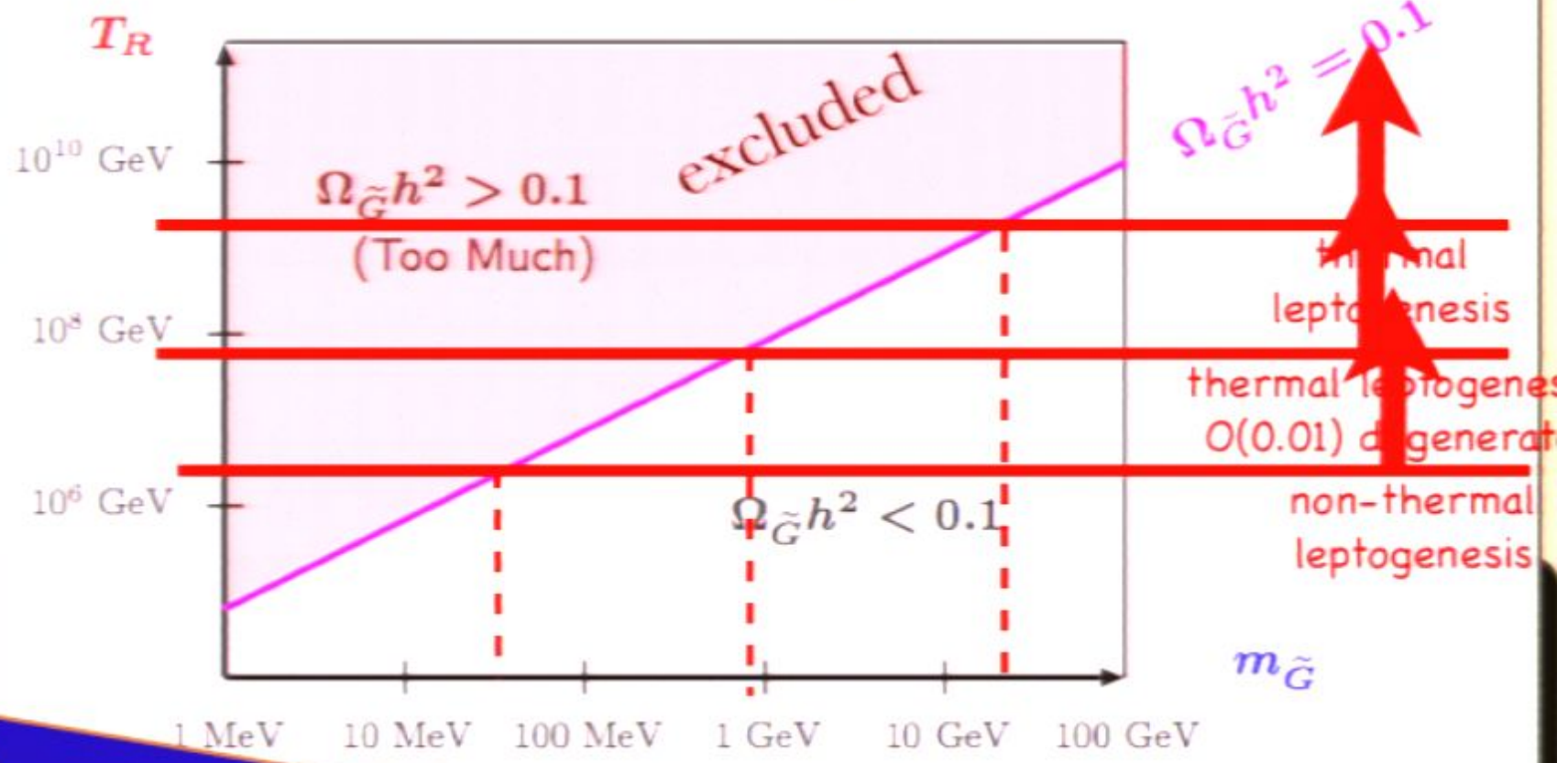


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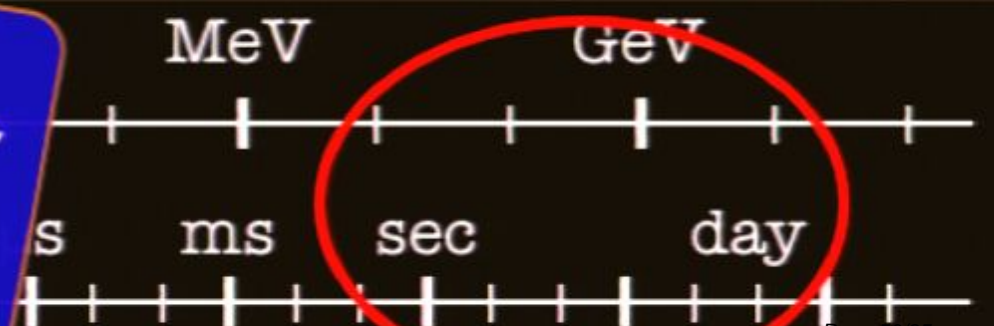
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cf. talks by F.D.Steffen and J.Pradler.



Side Remark

• inflaton-decay gravitino is also severe, though model dependent.
 another interesting possibility is O(1 eV) gravitino.



cf. my talk at PASCOS

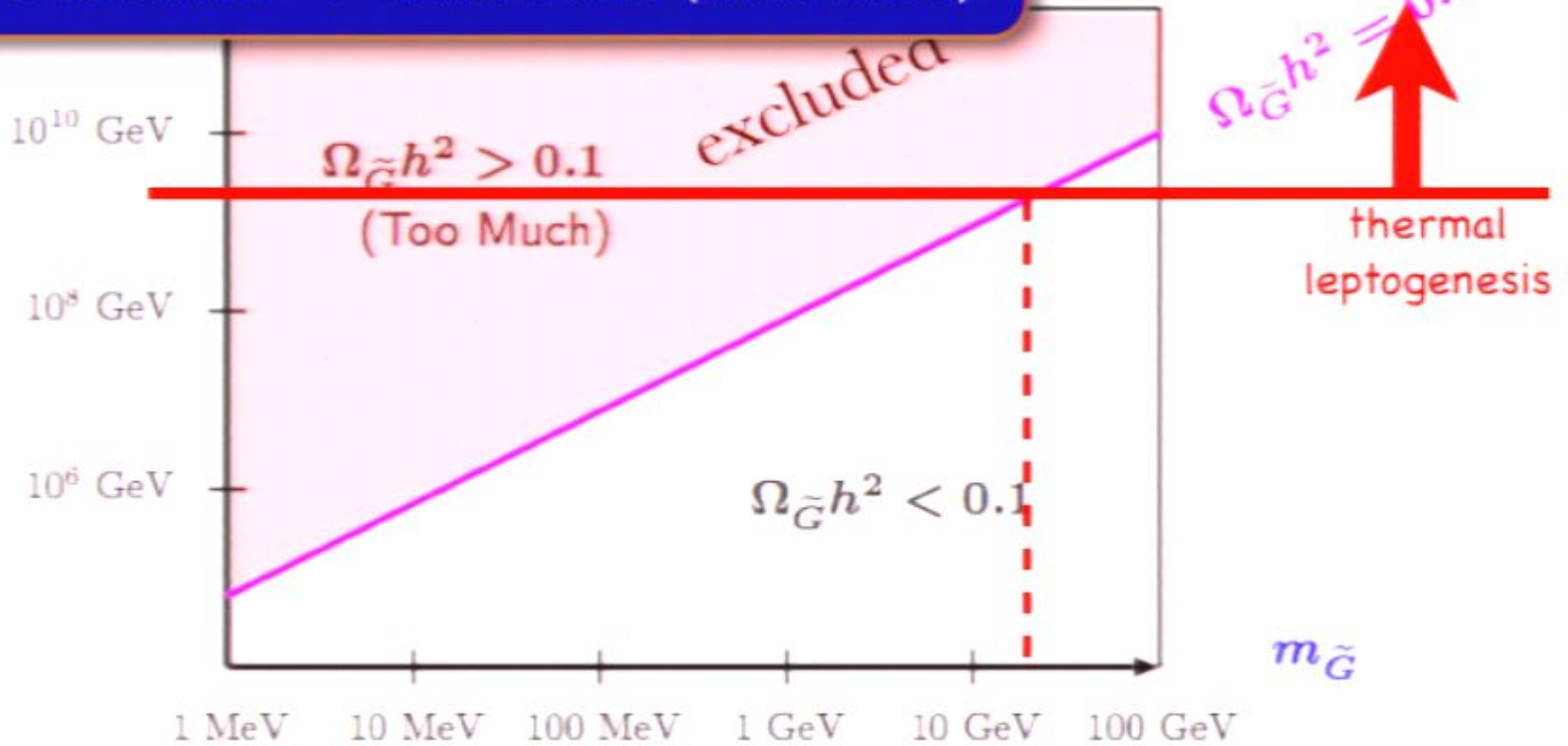
Another Side Remark

- thermal leptogenesis $T_R > 10^9 \text{ GeV} \rightarrow m_{\tilde{G}} > O(10) \text{ GeV}$
- $\rightarrow T_{\text{tau}} \gg 1000 \text{ sec.} \rightarrow \text{excluded?? (unless diluted)}$

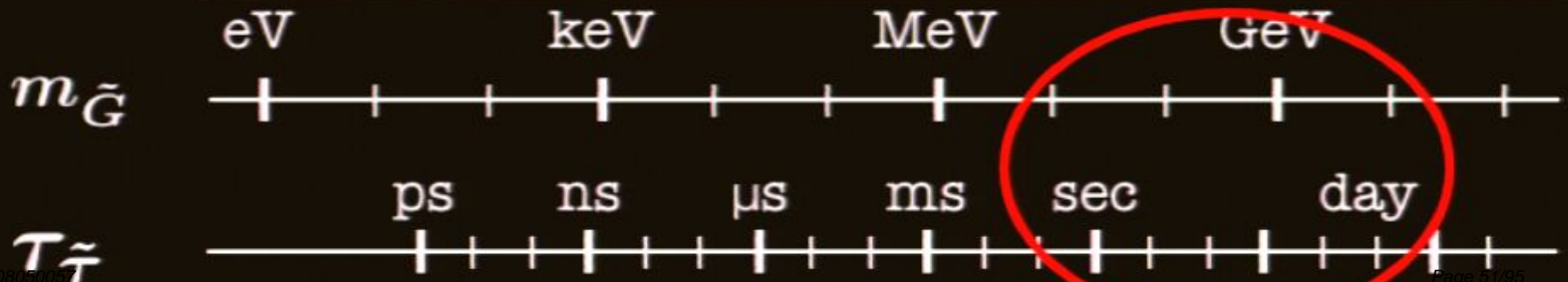
(the gravitino)

fften and J.Pradler.

$\Gamma(\tilde{G})$



Lifetime



Another Side Remark

- thermal leptogenesis $T_R > 10^9 \text{ GeV} \rightarrow m_{\tilde{G}} > O(10) \text{ GeV}$
- $\rightarrow \tau_{\text{stau}} \gg 1000 \text{ sec.} \rightarrow \text{excluded?? (unless diluted)}$

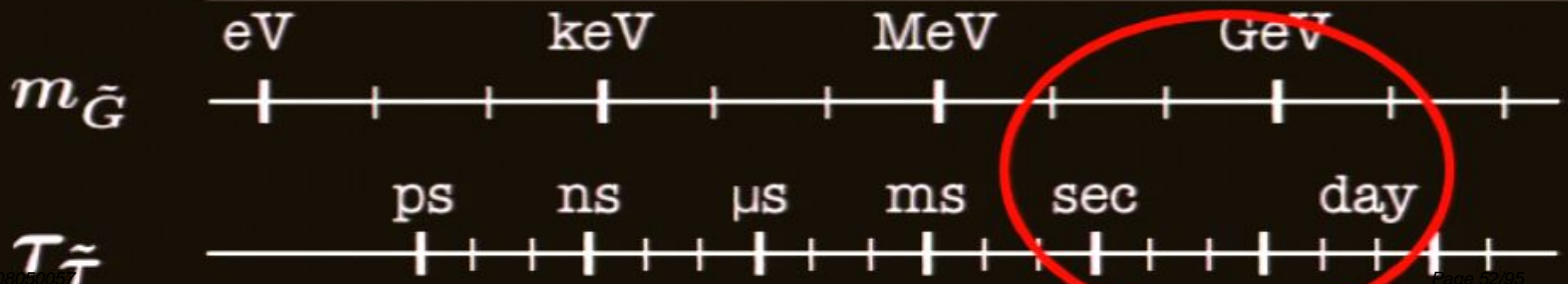
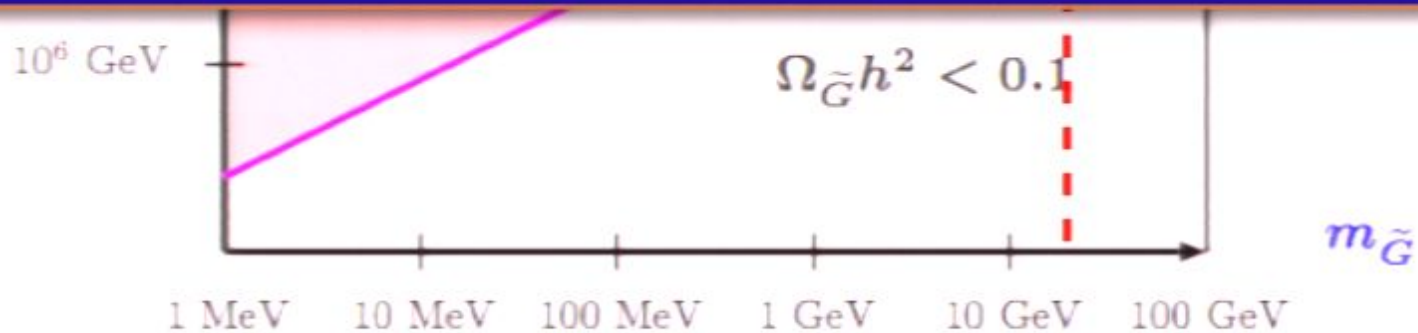
(the gravitino)

Heur and J. Pradler.

A solution: a small R-parity violation can help it.

- $\lambda > 10^{-14}$ is large enough to make $\tau_{\text{stau}} < 1000 \text{ sec.}$
- $\lambda < 10^{-7}$ is small enough to satisfy the constraints including baryon washout,
- and to make the gravitino stable, i.e. $\tau_{\text{gravitino}} > \tau_{\text{universe}}$.
- (Buchmuller, Covi, KH, Ibarra, Yanagida, '07; cf. Takayama Yamaguchi, '00)

Lifetime



Another Side Remark

- thermal leptogenesis $T_R > 10^9 \text{ GeV} \rightarrow m_G > O(10) \text{ GeV}$
- $\rightarrow T_{\text{tau}} \gg 1000 \text{ sec.} \rightarrow \text{excluded?? (unless diluted)}$

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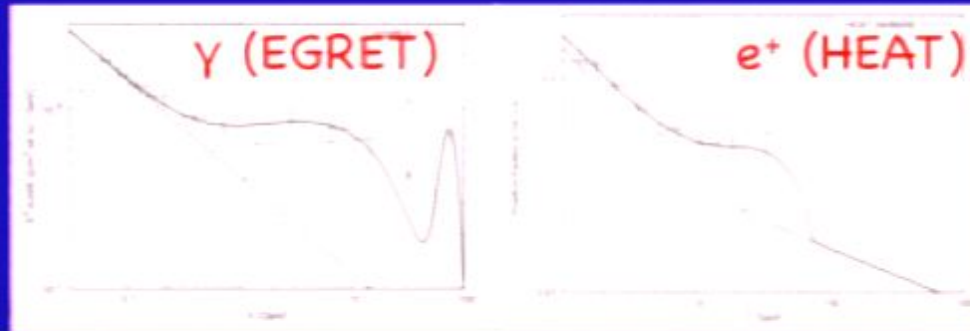
fflen and J.Pradler.

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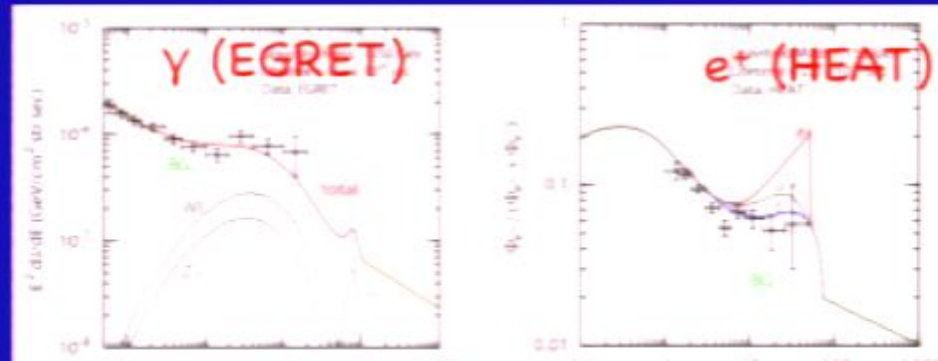
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- (Buchmuller, Covi, KH, Ibarra, Yanagida,'07; cf. Takayama Yamaguchi,'00)

And the gravitino DM decay can be (or has already been?!) seen by CRs !!!

Ibarra, Tran,'08 \rightarrow



Ishikawa, Matsumoto, Moroi,'08 \rightarrow



$m_{\tilde{G}}$

eV

TeV

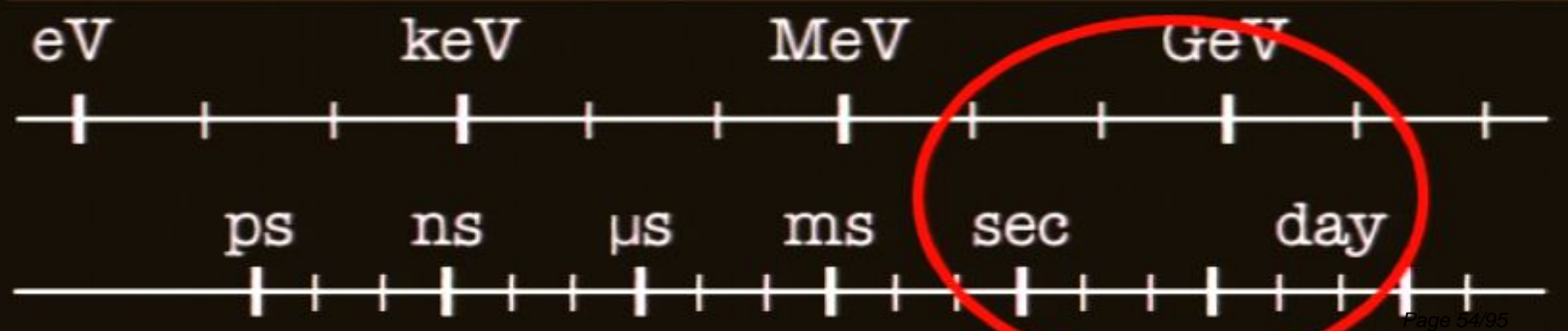
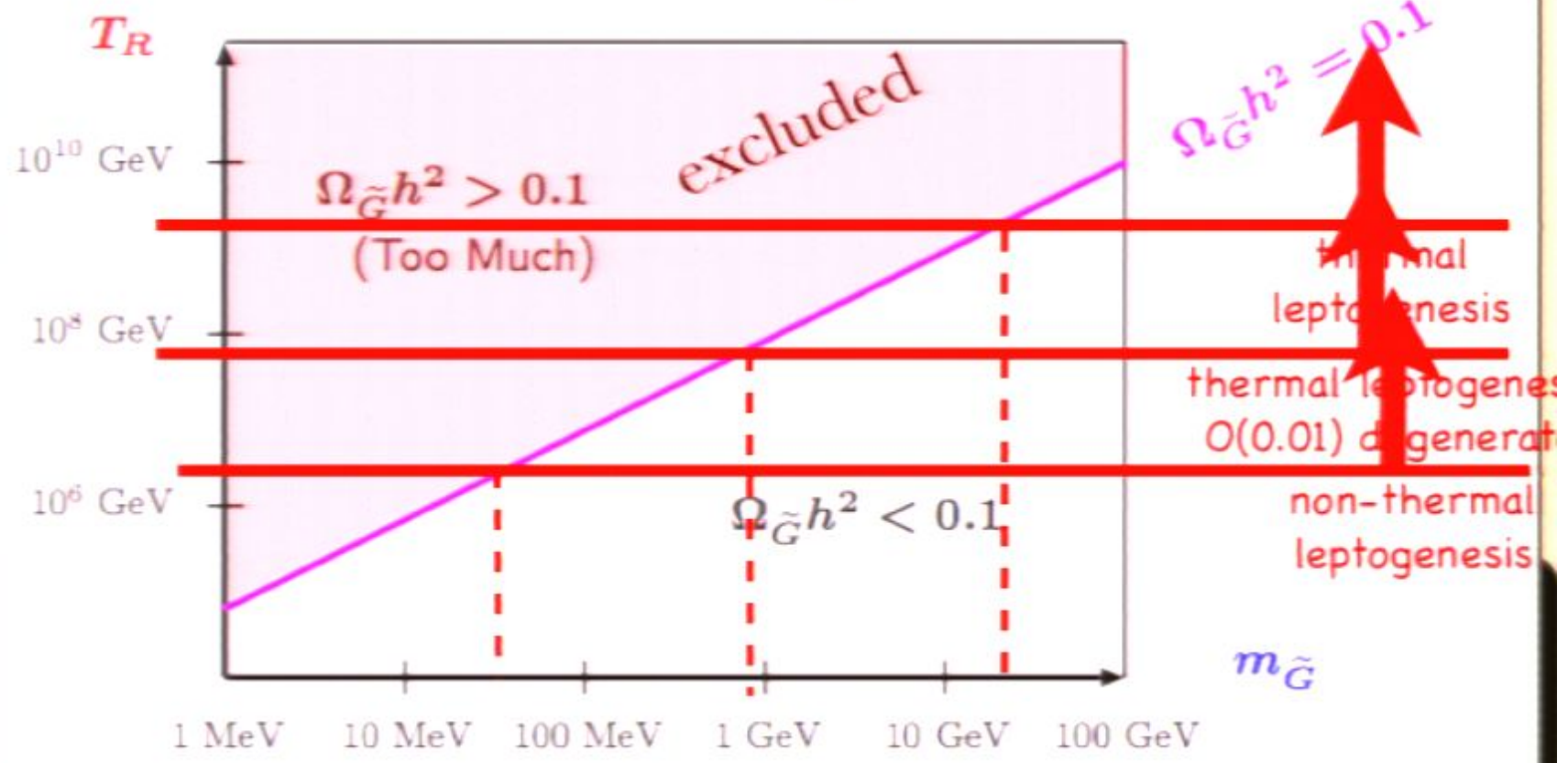
day

• Why Ts

Lifetime

• Gravitino Problem (for stable gravitino)

cf. talks by F.D.Steffen and J.Pradler.



Long-lived **Staus** in the Early Universe

Long-lived Staus in the Early Universe

- as we've heard so far in this workshop.
- Stau with $\tau > O(1)$ sec
(especially > 1000 sec) [Catalyzed BBN, Pospelov,'06]
may affect/jeopardize/help the BBN!

Long-lived Staus at the LHC

- can test it at the LHC ??
- can determine the abundance and lifetime of stau?

- Stau with $\tau > O(1)$ sec
(especially > 1000 sec) [Catalyzed BBN, Pospelov, '06]
may affect/jeopardize/help the BBN!

Long-lived Staus at the LHC

- can test it at the LHC ??
- can determine the abundance and lifetime of stau?

- Stau with $\tau_{\tilde{\tau}}$ (especially $> 10^{-13}$ s) may affect/j

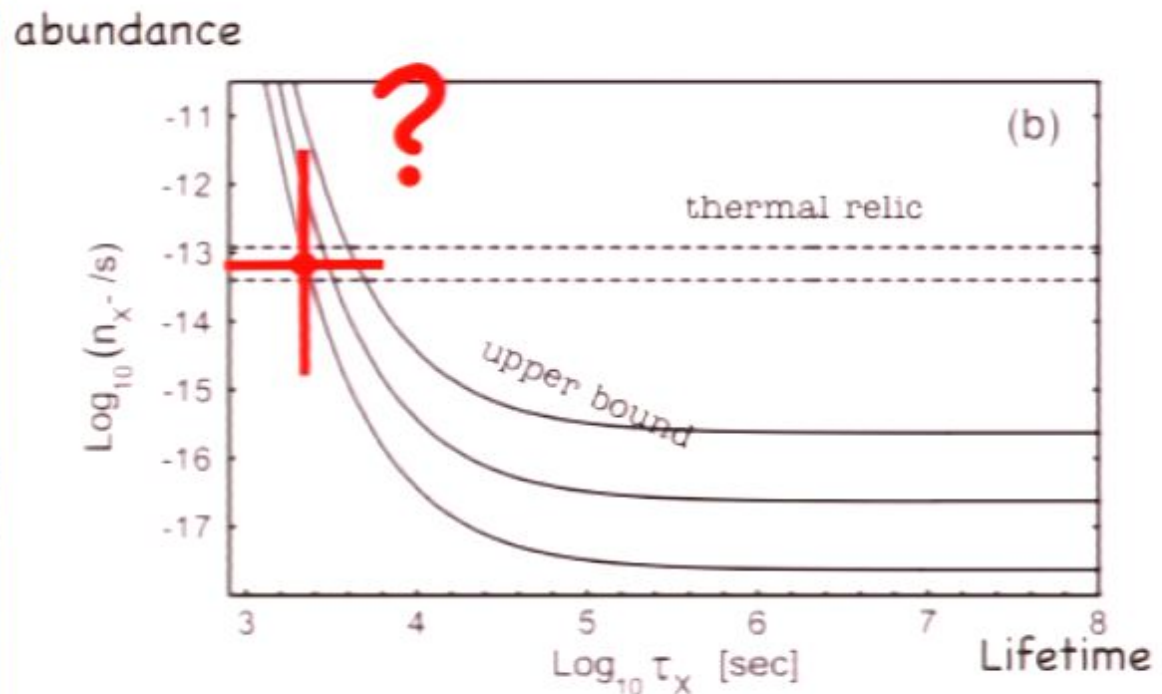


Fig. from KH, Hatsuda, Kamimura, Kino, Yanagida'07

Long-lived Staus at the LHC

- can test it at the LHC ??
- can determine the abundance and lifetime of stau?

- Stau with $\tau_{\text{stau}} > 10^{-12}$ s (especially $> 10^{-10}$ s) may affect/j

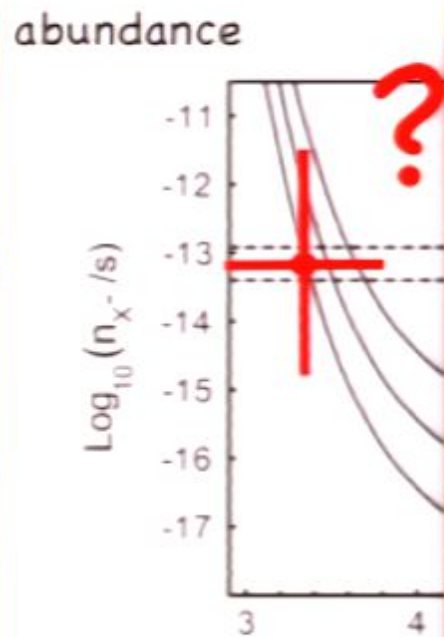


Fig. from KH, Hatsuda, Kamimura, Kinoshita, and Yoda '07

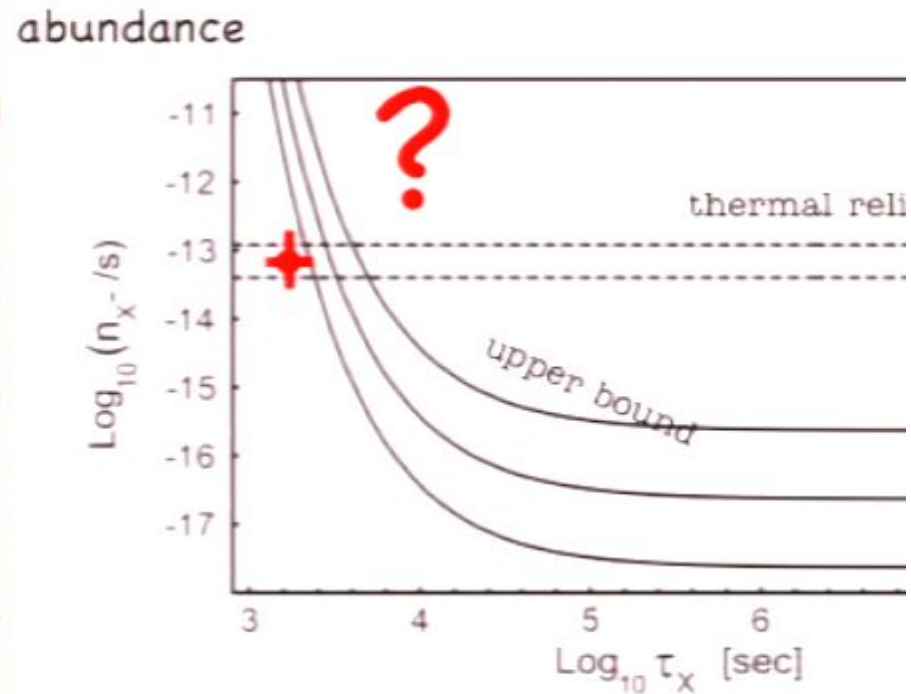


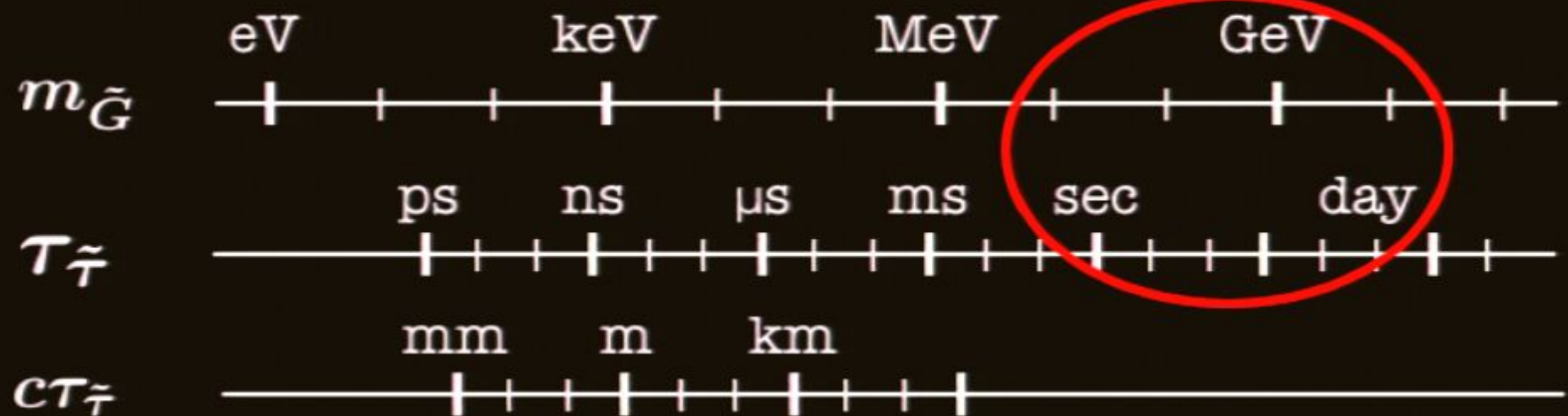
Fig. from KH, Hatsuda, Kamimura, Kinoshita, and Yoda '07

Long-lived Staus at the LHC

$$\Gamma(\tilde{\tau} \rightarrow \tilde{G}\tau) \simeq \frac{m_{\tilde{\tau}}^5}{48\pi m_{\tilde{G}}^2 M_{\text{pl}}^2} \left(1 - \frac{m_{\tilde{G}}^2}{m_{\tilde{\tau}}^2}\right)^4$$

Lifetime (decay length) of Stau

e.g., for $m(\text{stau}) = 200 \text{ GeV}$

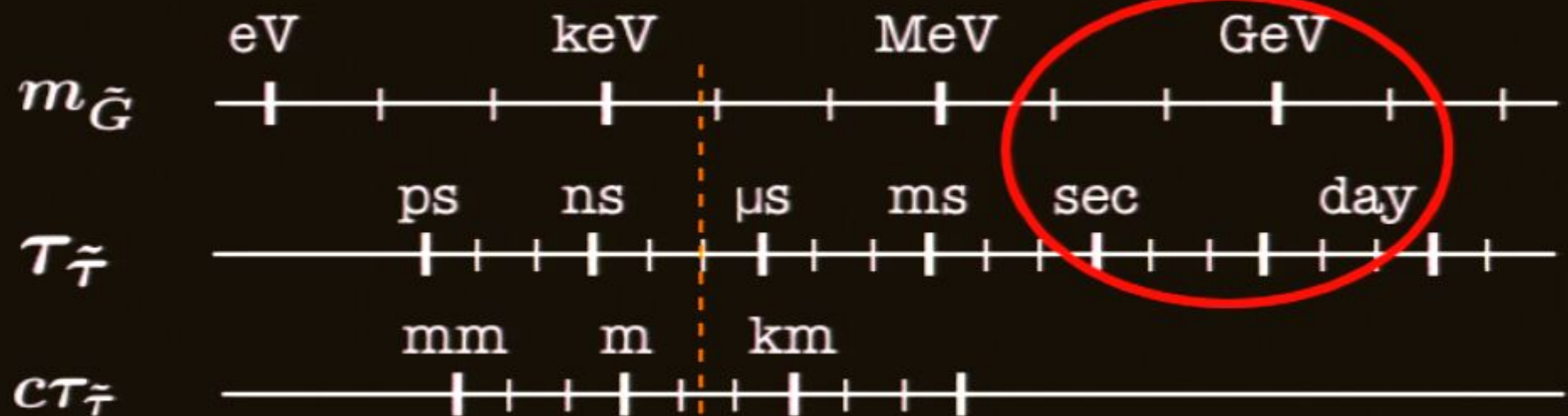


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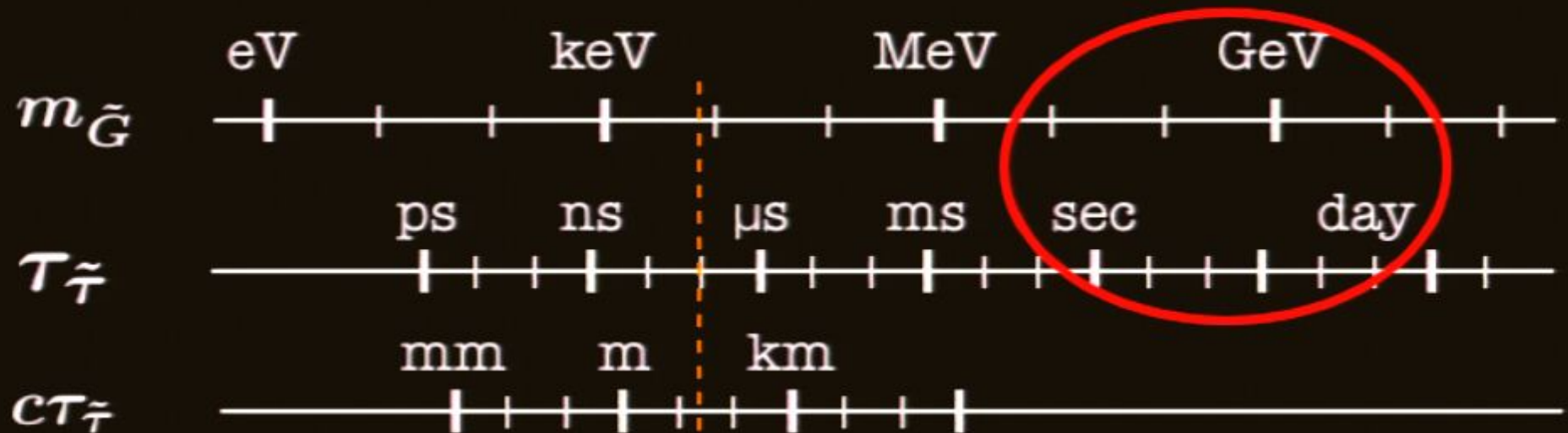


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Lifetime (decay length) of Stau

e.g., for $m(\text{stau}) = 200 \text{ GeV}$



Detector Size

No In-flight decay

Long-lived staus @ LHC

We will see long-lived charged particle (like muon).

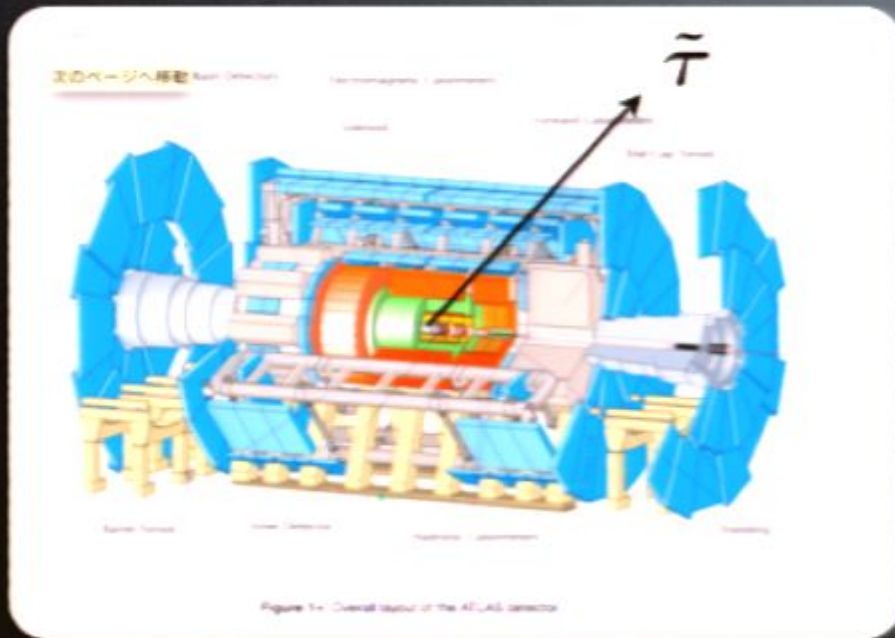


Fig. from ATLAS webpage

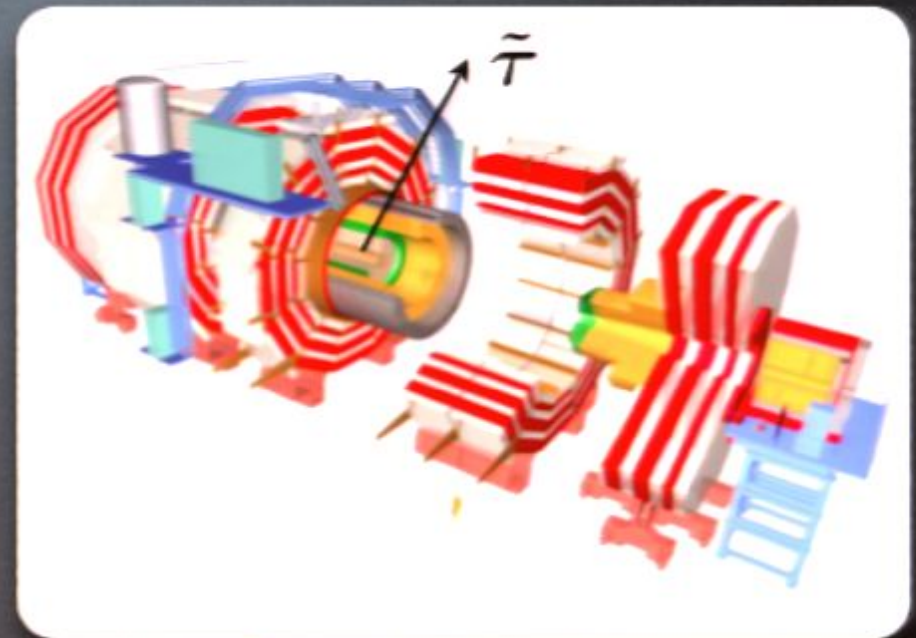


Fig. from CMS webpage

We will

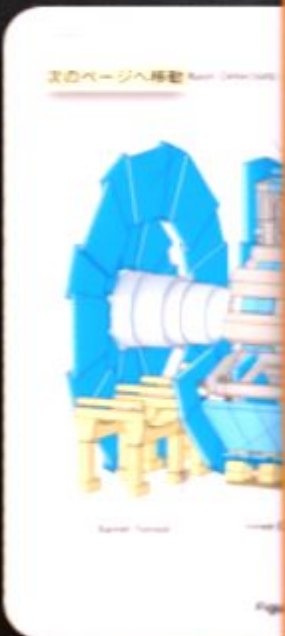


Fig. from

- momentum measurement p
- TOF (time of flight) measurement T
 \Rightarrow velocity $\beta = L/T$

- mass $m = p/(\beta\gamma)$

cf. De Roeck, Ellis, Gianotti, Moortgat, Olive, Pape, 05

$$\frac{\Delta m_{\tilde{\tau}}}{m_{\tilde{\tau}}} = \frac{\Delta p}{p} \oplus \beta\gamma^2 \frac{\Delta t}{L} \simeq 10 - 20\% \quad \text{in each event}$$

$$\mathcal{O}(1000) \tilde{\tau} \rightarrow \boxed{\frac{\Delta m_{\tilde{\tau}}}{m_{\tilde{\tau}}} < 1\%}$$

$$Y_{\tilde{\tau}} \propto m_{\tilde{\tau}}$$

\Rightarrow

$$\boxed{\frac{\Delta Y_{\tilde{\tau}}}{Y_{\tilde{\tau}}} \sim \begin{matrix} +100\% \\ -50\% \end{matrix} !!}$$

can **determine** the relic **abundance** !!!

We will



Fig. from

- momentum measurement p
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⇒ velocity $\beta = L/T$
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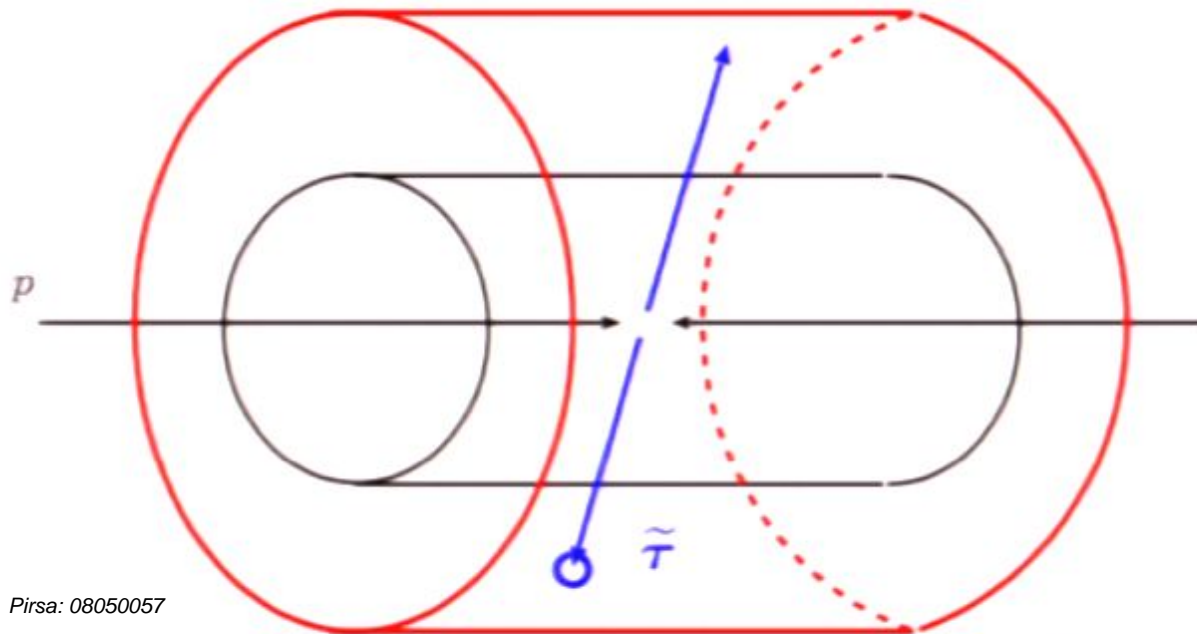
can **determine** the relic **abundance** !!!

.....but we cannot measure the stau **lifetime**.....

Long-lived staus @ LHC

We would like to see the decay of stau (into gravitino).

→ We need to **stop** the staus.

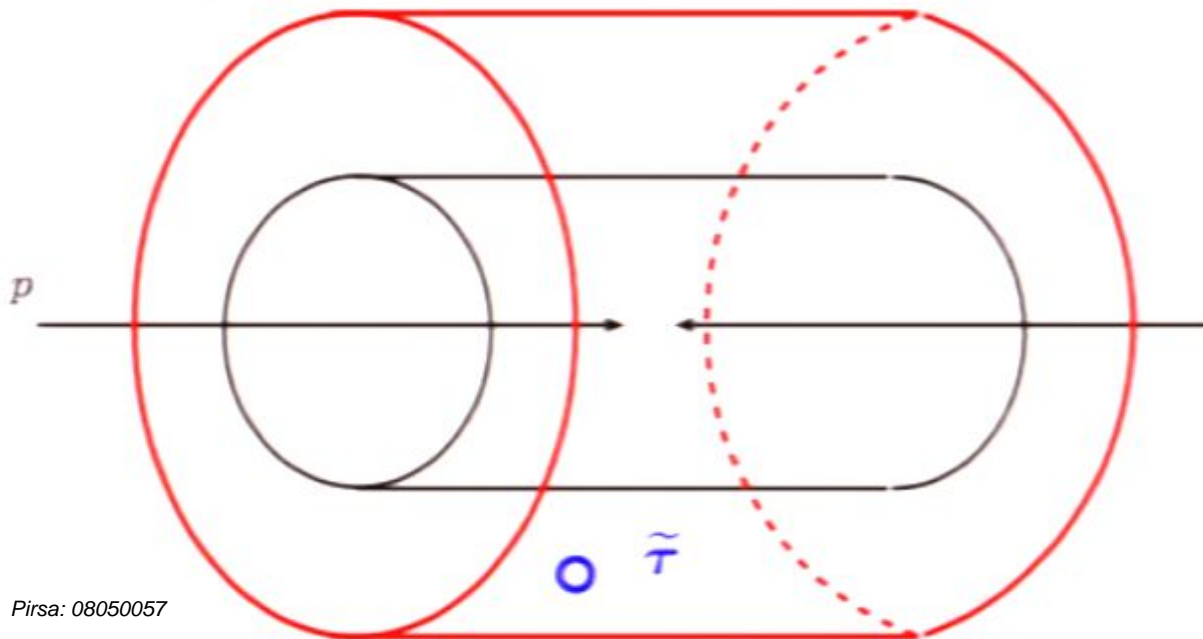


Long-lived staus @ LHC

We would like to see **the decay of stau** (into gravitino).

→ We need to **stop** the staus.

Wait for a while...

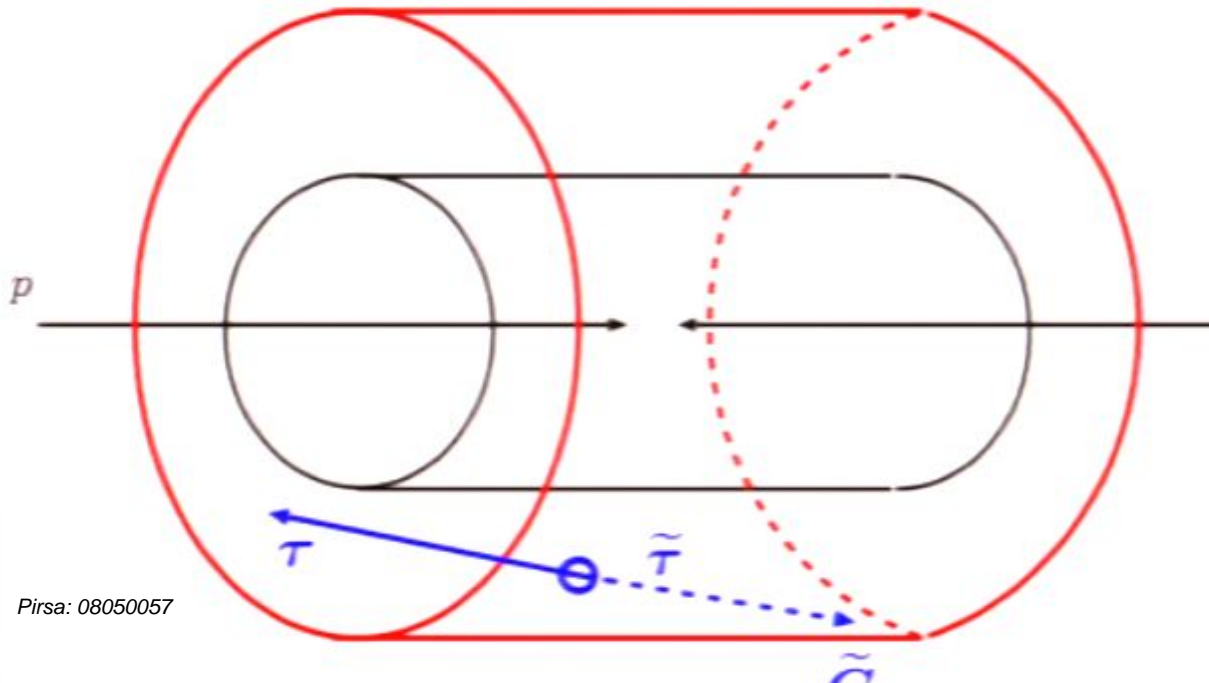


Long-lived staus @ LHC

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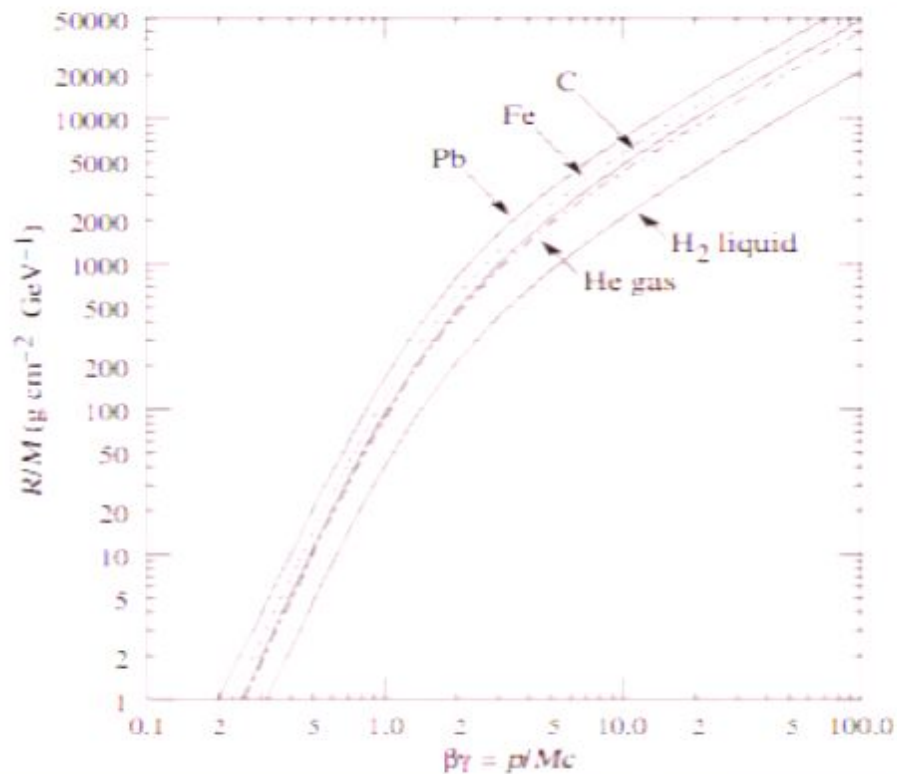
→ We need to **stop** the staus.

After a while, ... The slepton decays into the Gravitino!!

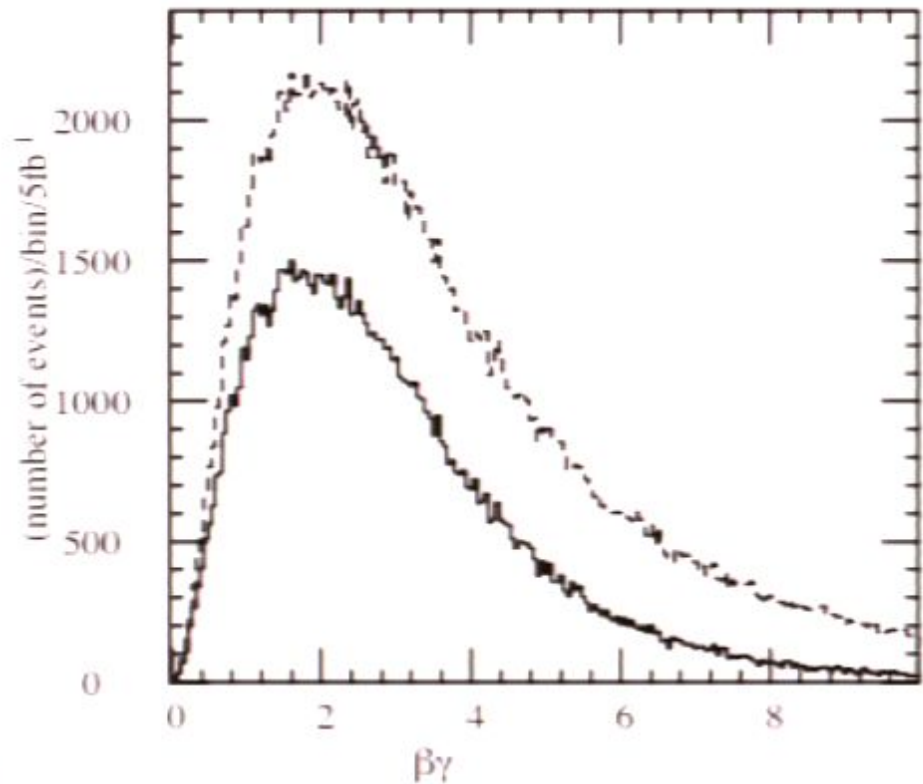


Long-lived staus @ LHC

How thick the stopping material should be?



typically $\tilde{g}, \tilde{q} \rightarrow \tilde{\chi}^{\pm}, \tilde{\chi}^0 \rightarrow \tilde{\tau}$

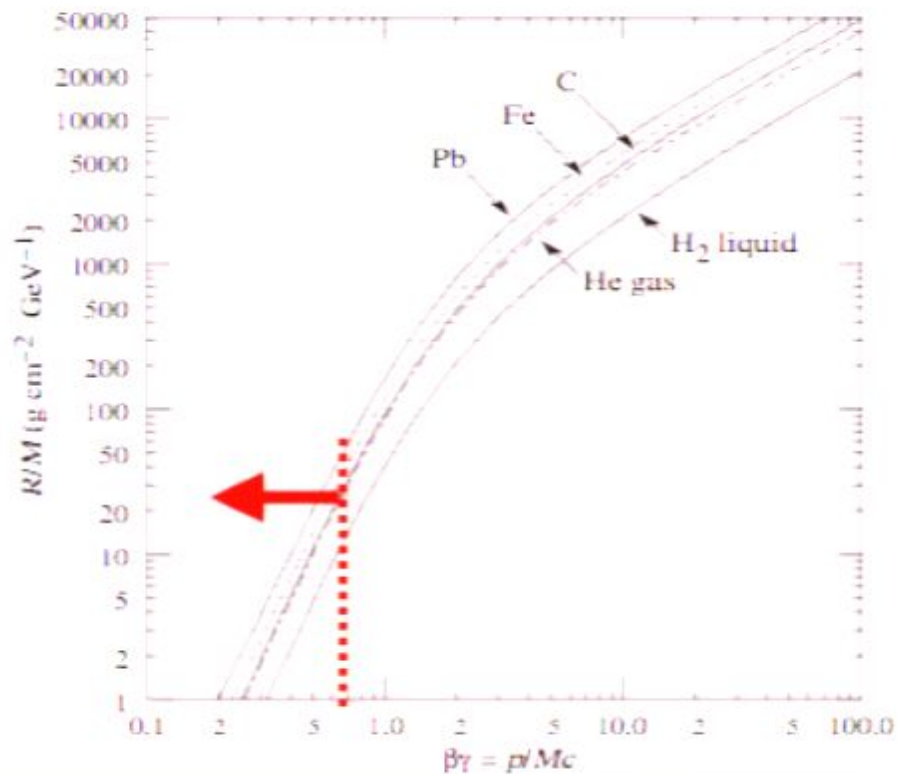


Review of Particle Physics

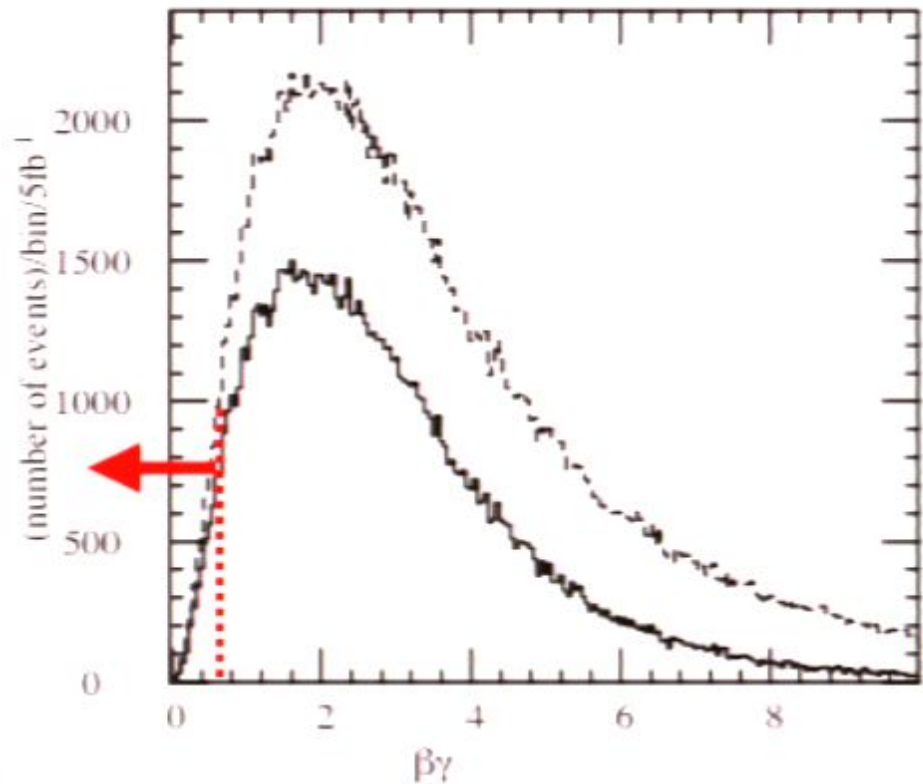
Fig. from Hamaguchi, Kuno, Nakaya, Nojiri '0

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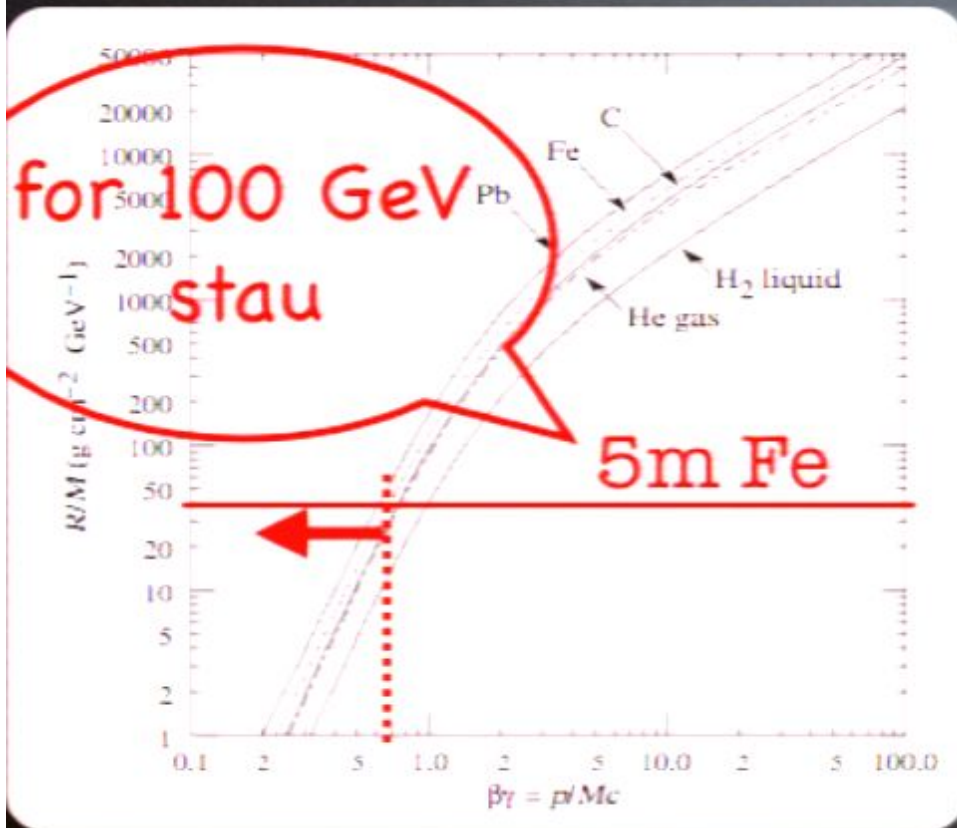


Review of Particle Physics

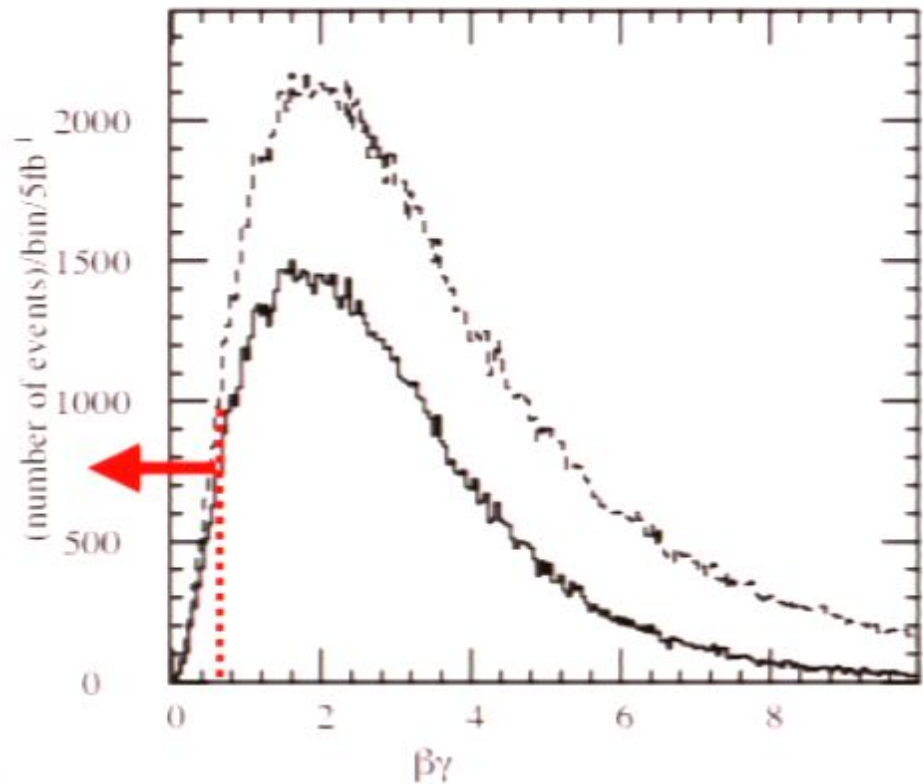
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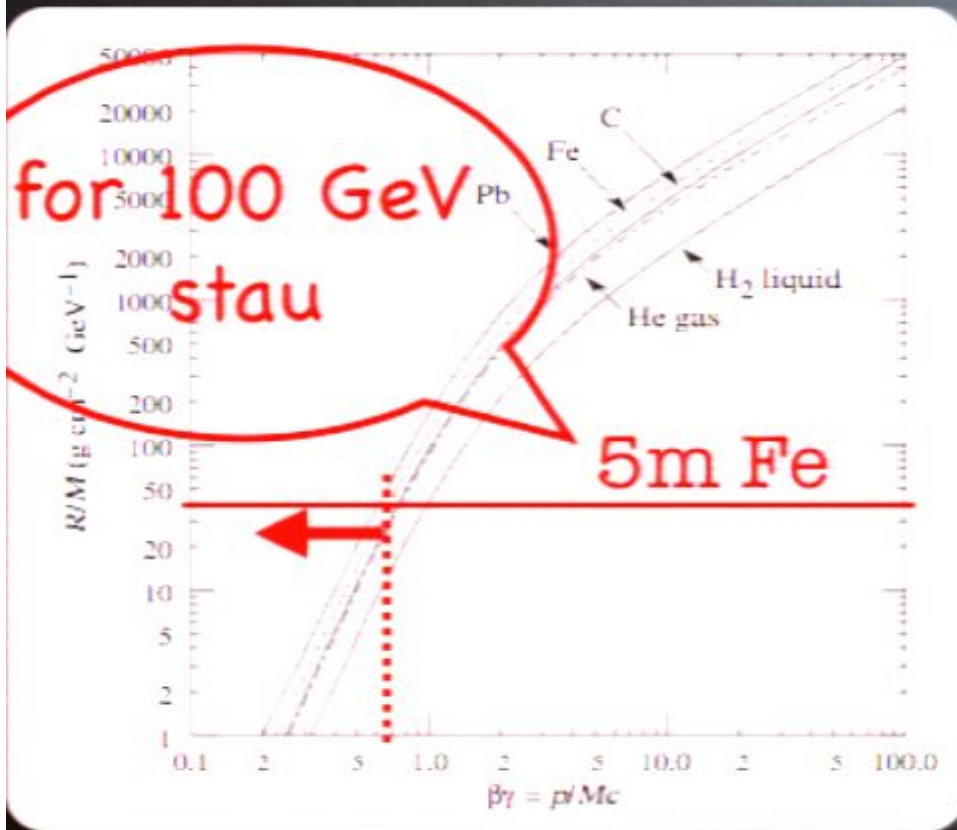


Review of Particle Physics

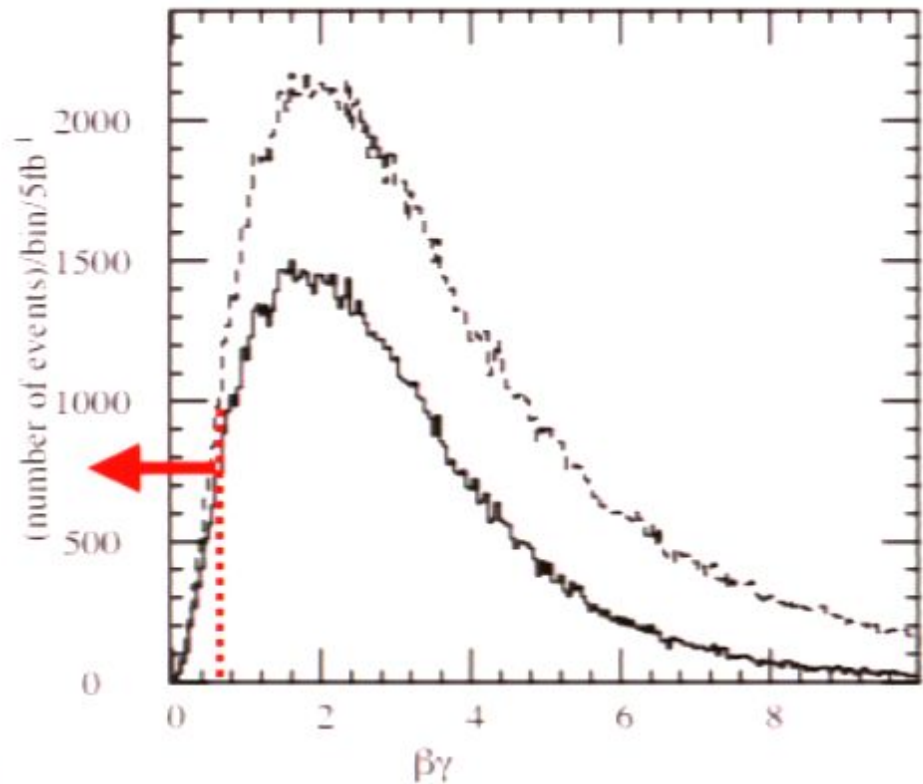
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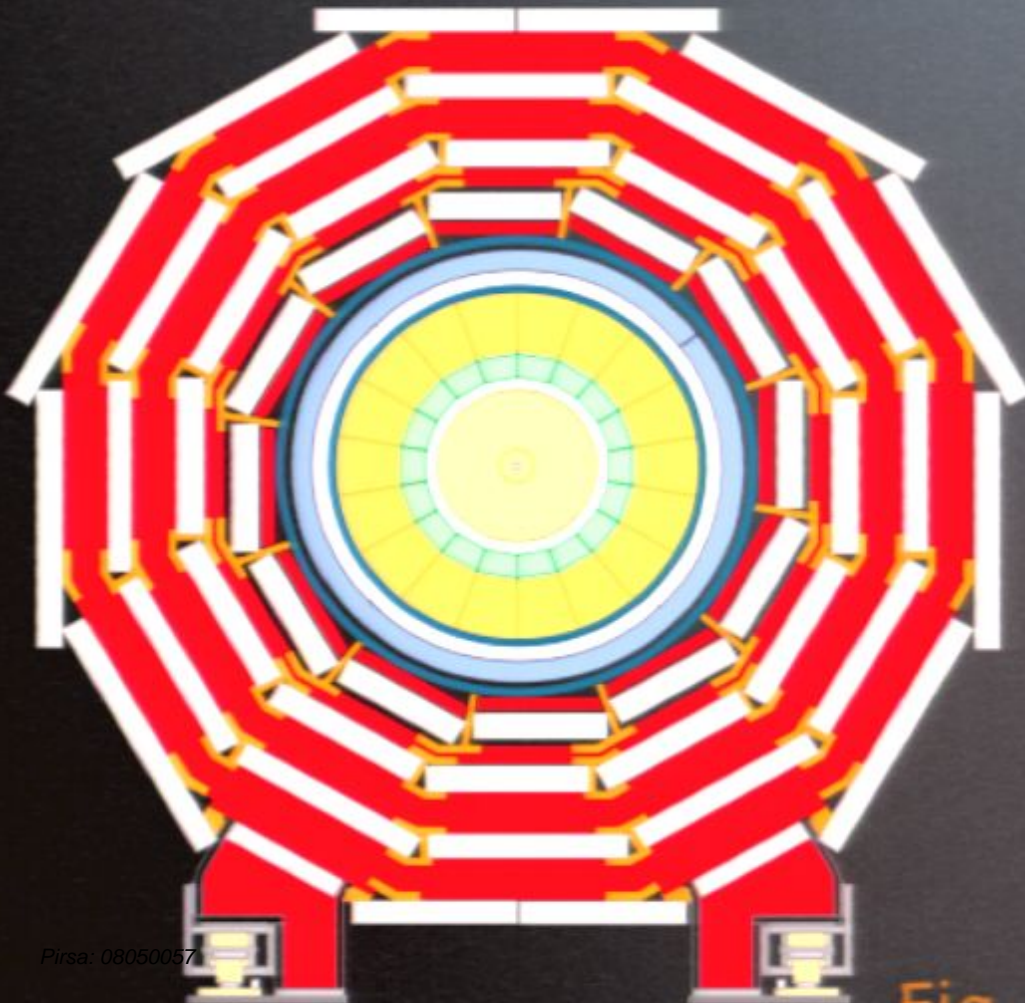
Review of Particle Physics

Fig. from Hamaguchi, Kuno, Nakaya, Nojiri '0

If thick enough, part of produced staus may be stopped

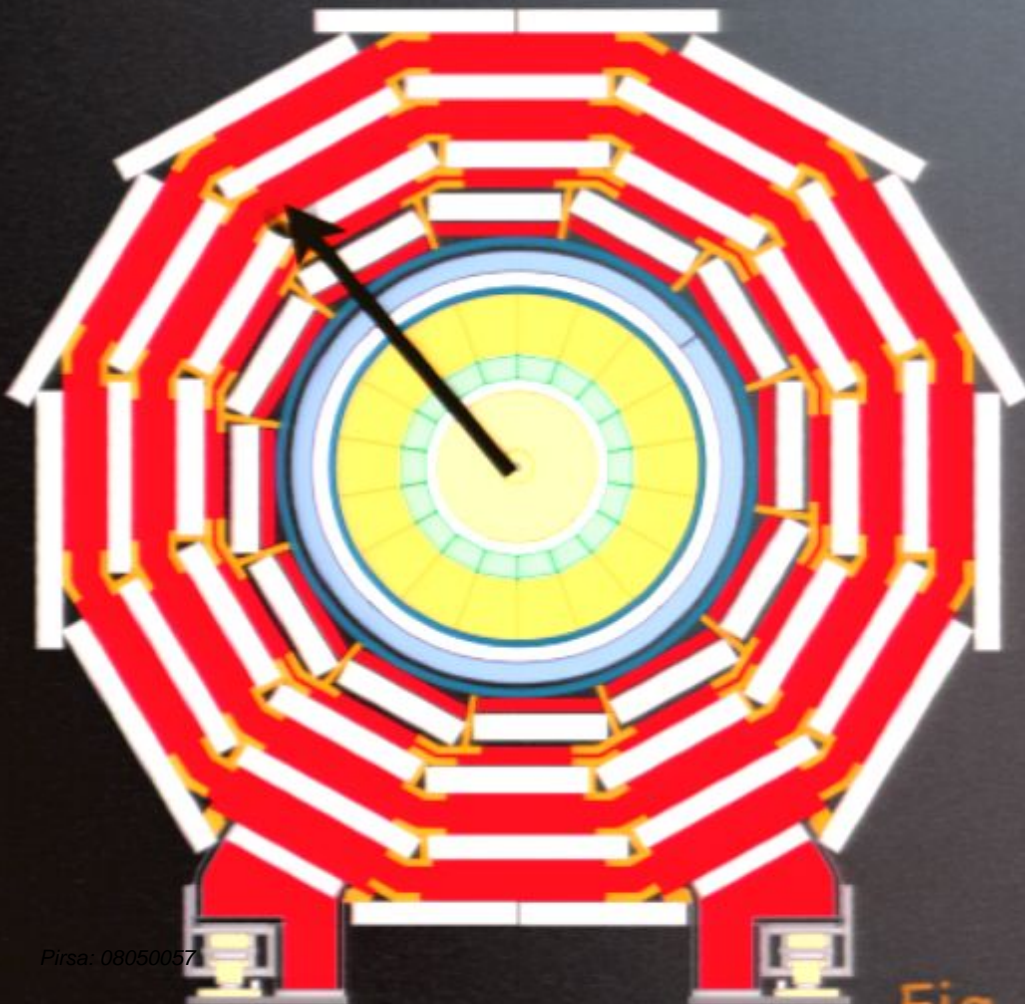
Long-lived staus @ LHC

Actually, the LHC detector themselves can stop part of staus...



Long-lived staus @ LHC

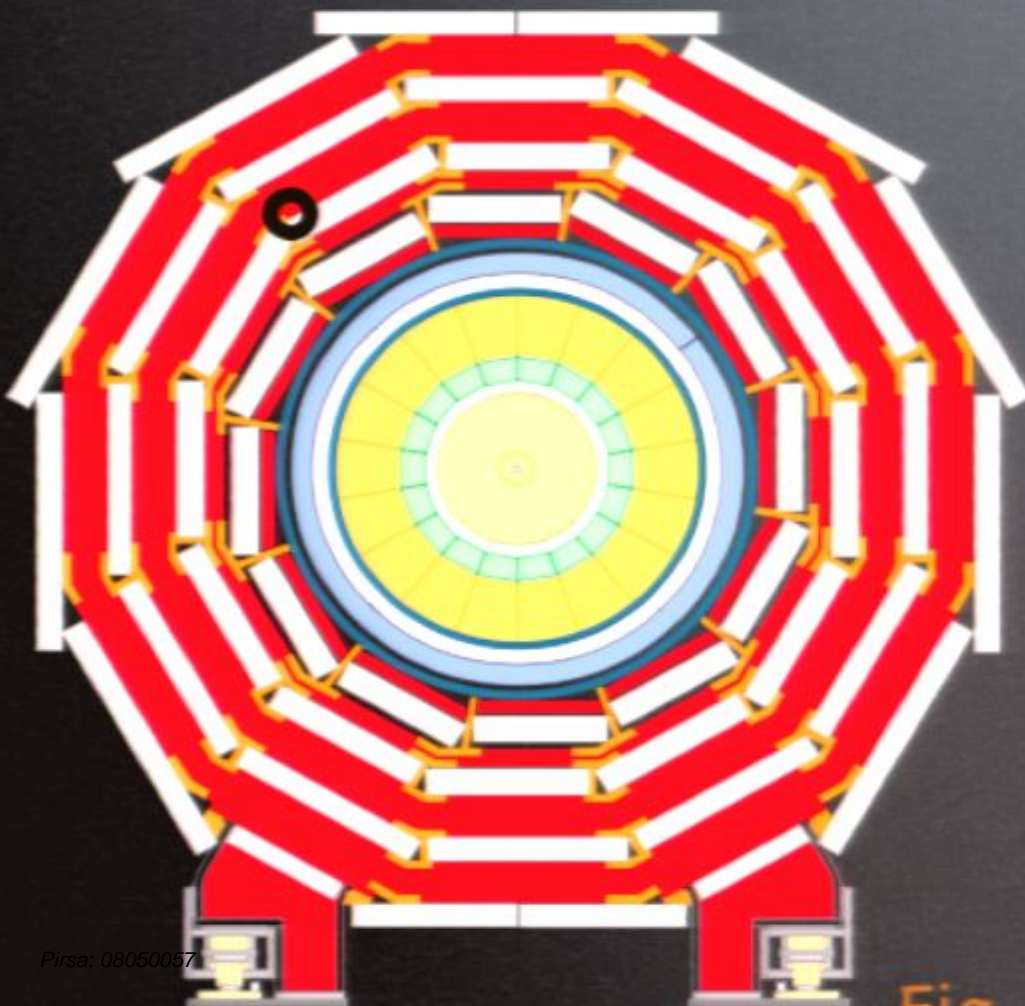
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Long-lived staus @ LHC

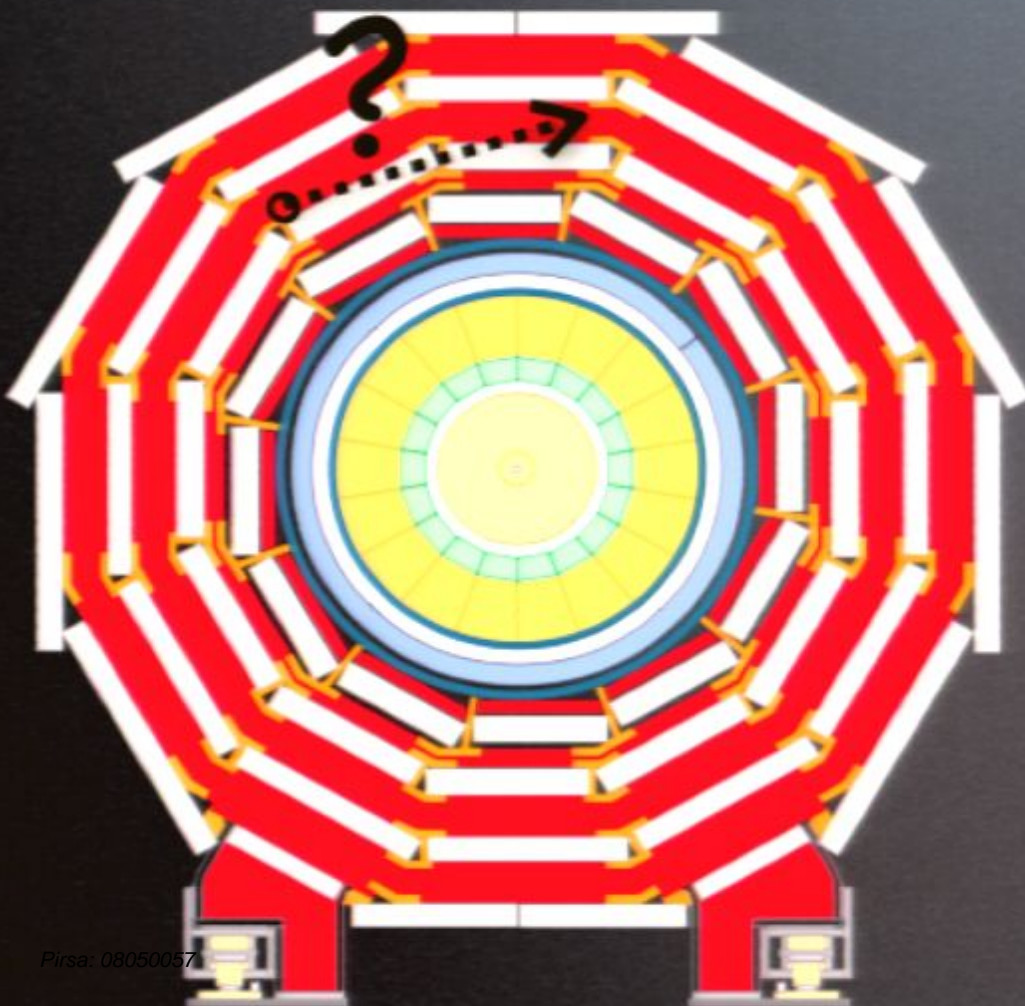
Actually, the LHC detector themselves can stop part of staus...

However, even if we can precisely identify the position where the stau is stopped and record it,.....



Long-lived staus @ LHC

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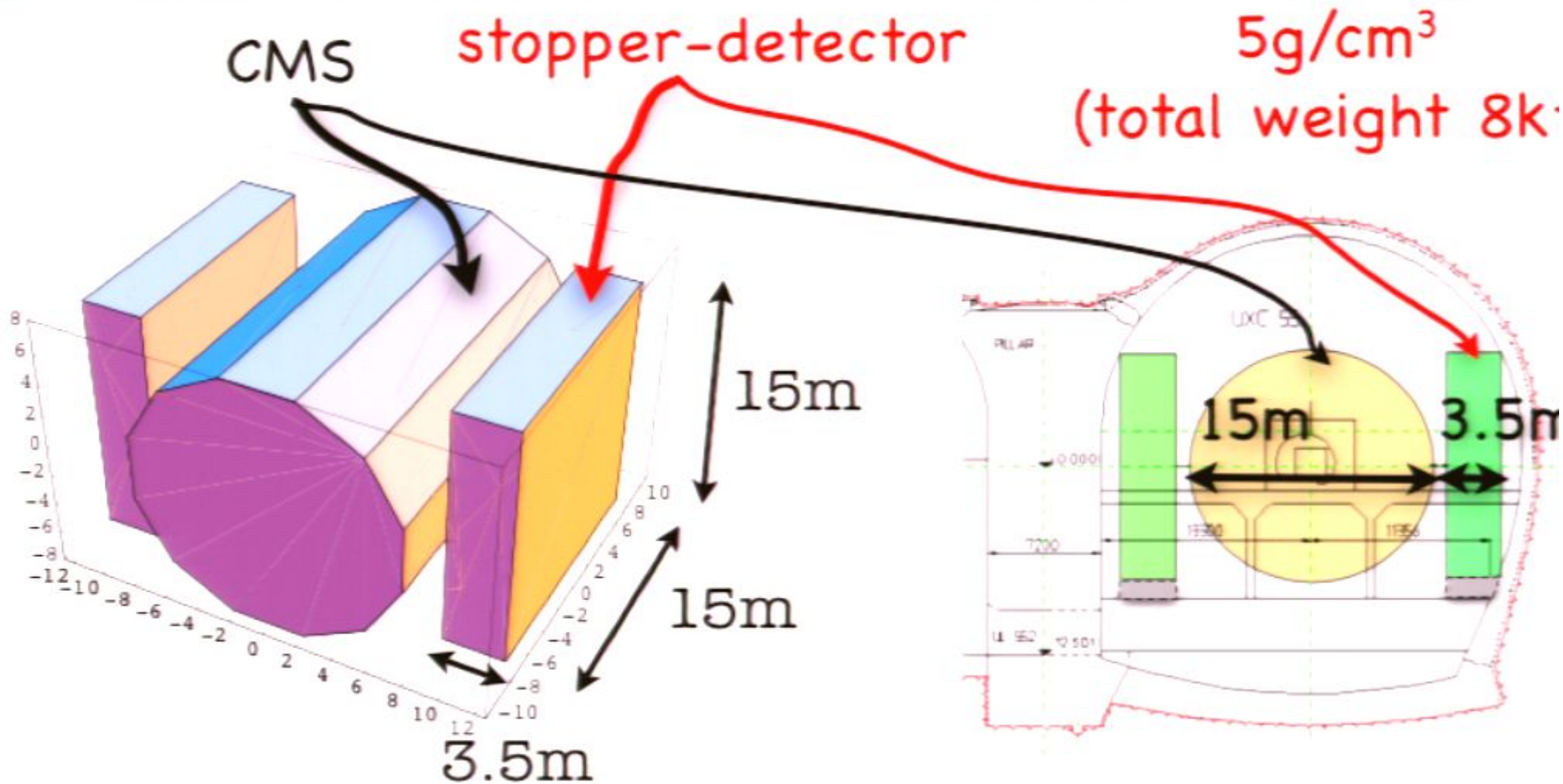
However, even if we can precisely identify the position where the stau is stopped and record it,.....

it is difficult to identify the stau decay, which is **out-of-time** and **not originating from beam interaction point**.

stopper-detector

Assume two stoppers next to CMS.

Hamaguchi, Nojiri, De Roeck'06

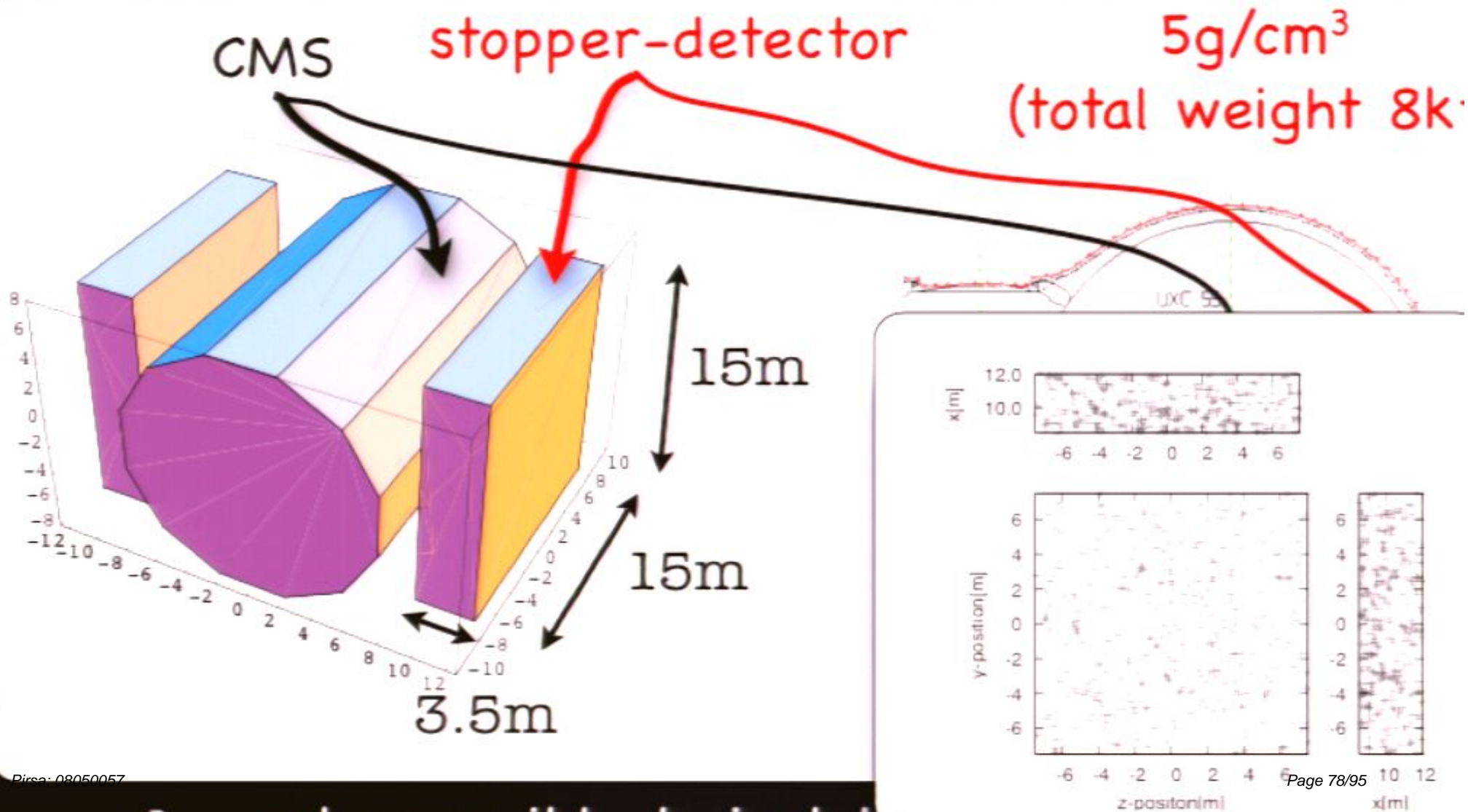


→ maybe possible to install stopper-detectors

stopper-detector

Assume two stoppers next to CMS.

Hamaguchi, Nojiri, De Roeck'06



→ maybe possible to instal

How many staus can be stopped?

Point	ϵ	ζ	η
$M_{1/2}$	440	1000	1000
m_0	20	100	20
$\tan \beta$	15	21.5	23.7
$m_{\tilde{g}}$ [GeV]	1025	2191	2190
$m_{\tilde{\chi}_1^0}$ [GeV]	175	417	416
$m_{\tilde{\chi}_2^0}$ [GeV]	154.2	343.5	324.3
$\sigma(\text{SUSY})$ [pb]	3.03	2.27×10^{-2}	3.34×10^{-2}
stopped in the stopper detector per 10^5 events	255	250	254
stopped for 300 fb^{-1}	4636	34	36

TABLE I: Some model points in mSUGRA model from [4]. The mass spectrum and production cross section relevant to our study are shown.

about 3 years

high luminosity run

Λ [TeV]	40	50	60	70	80
$m_{\tilde{g}}$ [TeV]	0.93	1.13	1.34	1.54	1.74
$m_{\tilde{\chi}_1^0}$ [GeV]	161.7	205.3	248.7	292.1	335.4
$m_{\tilde{\chi}_2^0}$ [GeV]	120.5	150.1	179.9	209.8	239.9
$\sigma(\text{SUSY})$ [pb]	5.24	1.68	0.64	0.28	0.13
stopped in the stopper detector per 10^5 events	282	274	274	294	302
stopped for 300 fb^{-1}	8830	2762	1052	494	236

Pirsa: 08060067

TABLE II: Some model points in gauge mediation model. The production cross section and mass

up to $O(1000)$ staus
may be trapped!

Hamaguchi, Nojiri,
De Beuck '06

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Pirsa: 08060067

TABLE II: Some model points in gauge mediation model. The production cross section and mass

up to $O(1000)$ staus may be trapped!

$$\Rightarrow \frac{\Delta \tau_{\tilde{\tau}}}{\tau_{\tilde{\tau}}} \sim O(\%) !$$

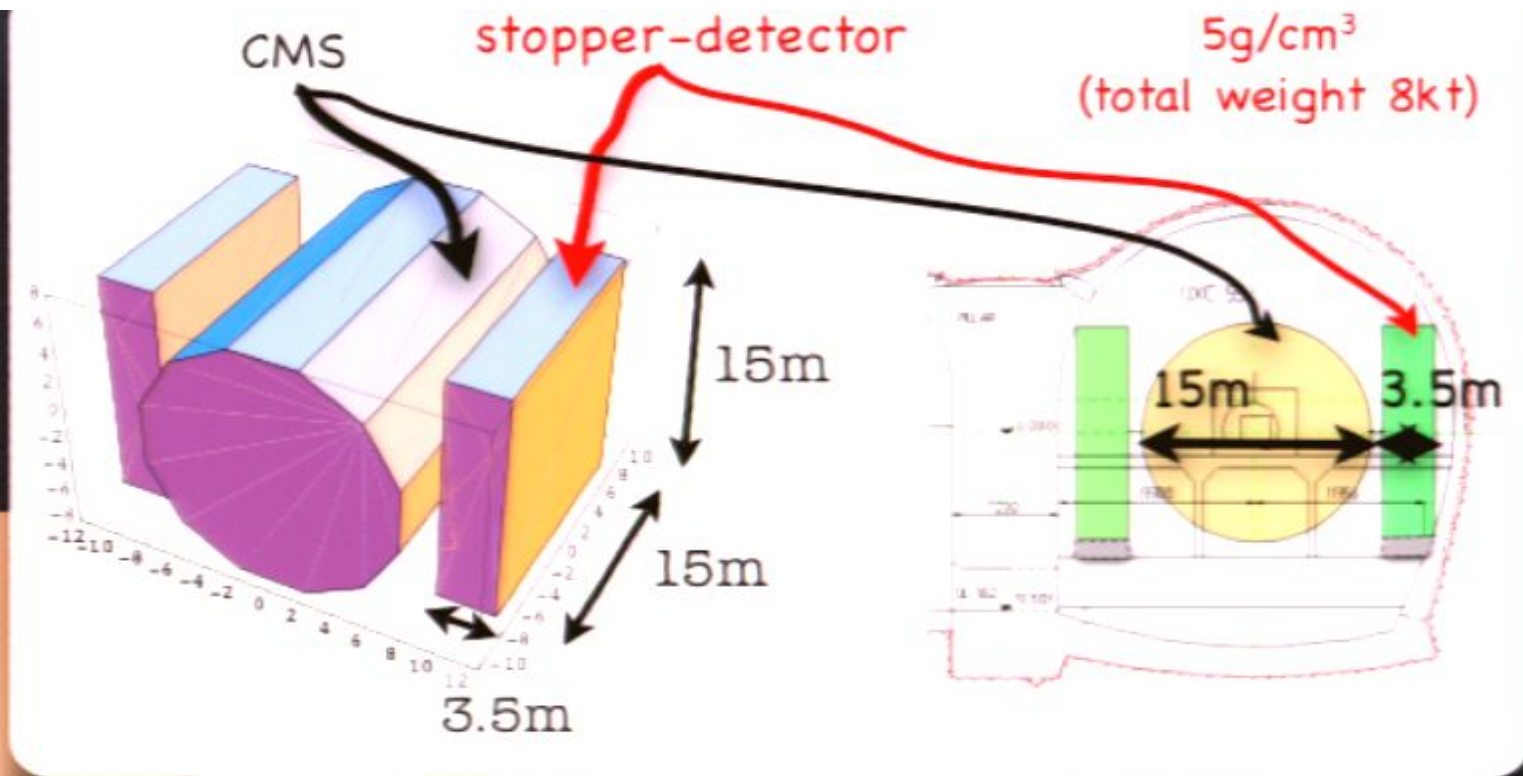
Hamaguchi, Nojiri, De Beusck '06

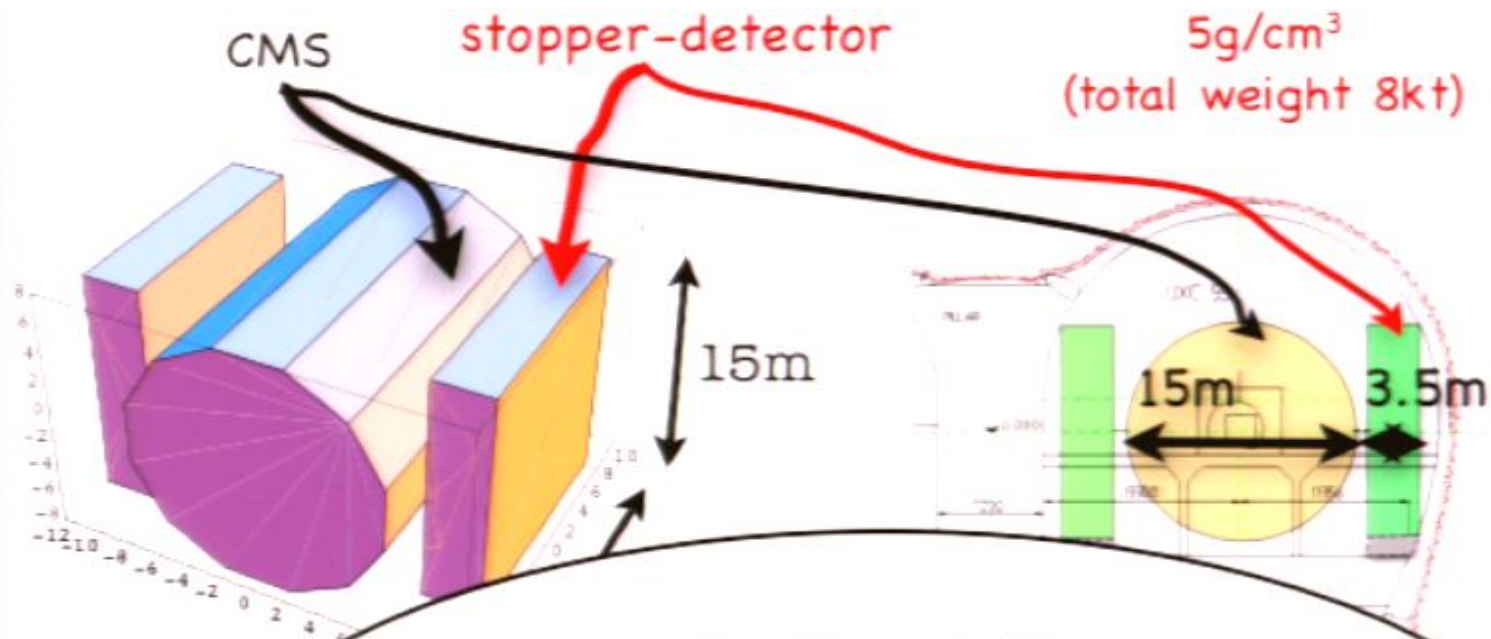


Pirsa: 08050057



another
experimentalist





What?!

8kton additional detectors?!
You know how expensive it is?!!

(Theorists are always
bringing crazy ideas.....)

another
experimentalist

side Remark
f. Steffen's talk

Planck scale measurement

W.Buchmüller, K.Hamaguchi, M.Ratz, T.Yanagida '04

$$\Gamma_{\tilde{\tau}}(\tilde{\tau} \rightarrow \tau + \tilde{G}) = \frac{m_{\tilde{\tau}}^5}{48\pi m_{\tilde{G}}^2 M_{\text{P}}^2} \left(1 - \frac{m_{\tilde{G}}^2}{m_{\tilde{\tau}}^2}\right)^4$$

Prediction of the Supergravity

$$\Leftrightarrow M_{\text{P}}^2(\text{supergravity}) = \frac{1}{48\pi} \frac{1}{\Gamma_{\tilde{\tau}}} \frac{m_{\tilde{\tau}}^5}{m_{\tilde{G}}^2} \left(1 - \frac{m_{\tilde{G}}^2}{m_{\tilde{\tau}}^2}\right)^4$$

consistency
check!!

$$M_{\text{P}}^2(\text{gravity}) = (8\pi G_{\text{N}})^{-1} = (2.44 \times 10^{18} \text{ GeV})^2$$

measurable

(using energy momentum)

"measurable"

$$m_{\tilde{G}}^2 = m_{\tilde{\tau}}^2 - 2m_{\tilde{\tau}} E_{\tilde{\tau}} - m_{\tilde{\tau}}^2$$

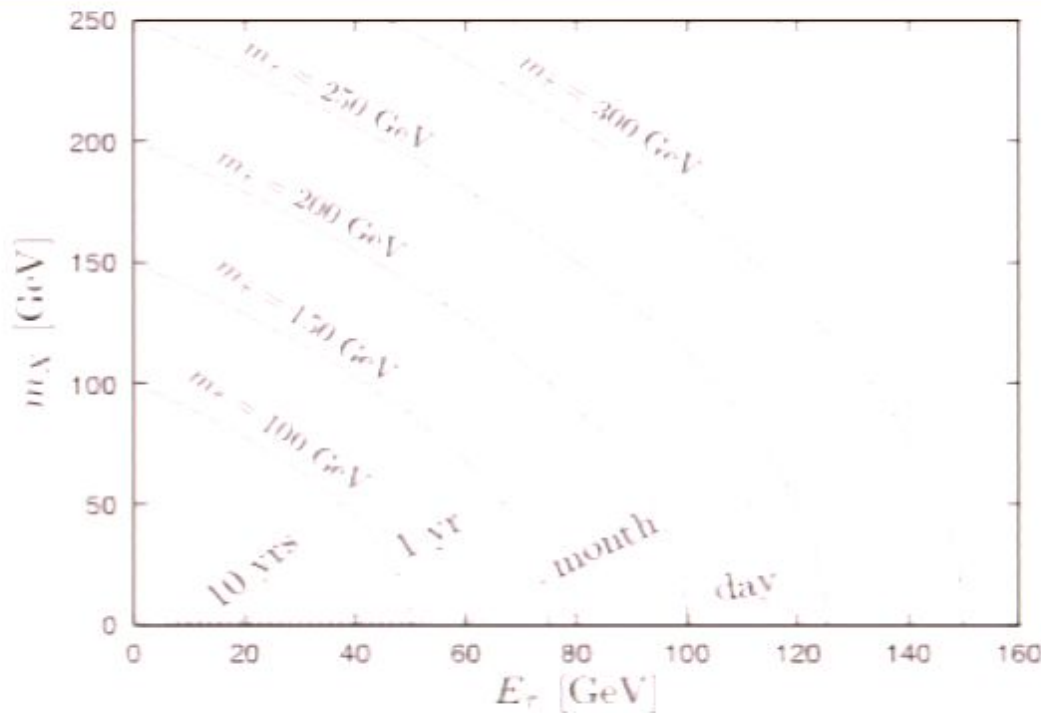


Newton constant

side Remark
 f. Steffen's talk

Planck scale measurement

Crucial to determine the tau energy precisely.

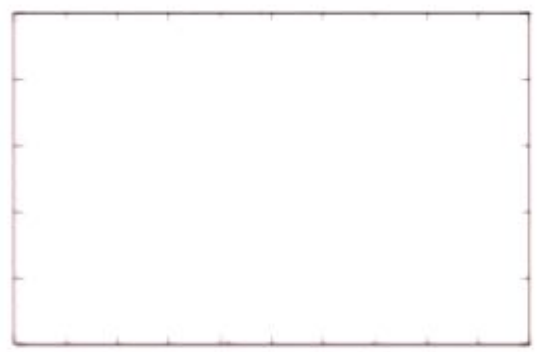
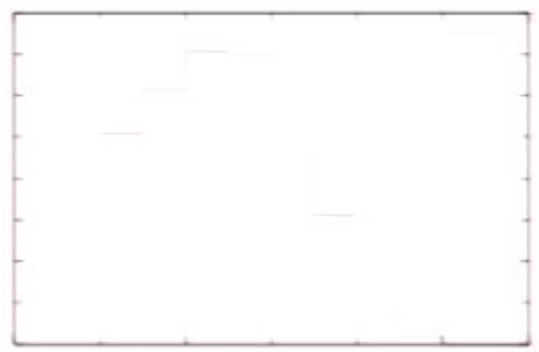


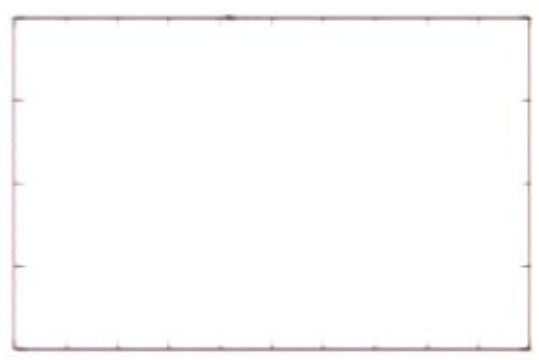
$$m_{\tilde{G}} = \sqrt{m^2 \quad m \quad m^2}$$

side Remark
of Steffen's talk

Planck scale measurement

Crucial to determine the tau energy precisely.



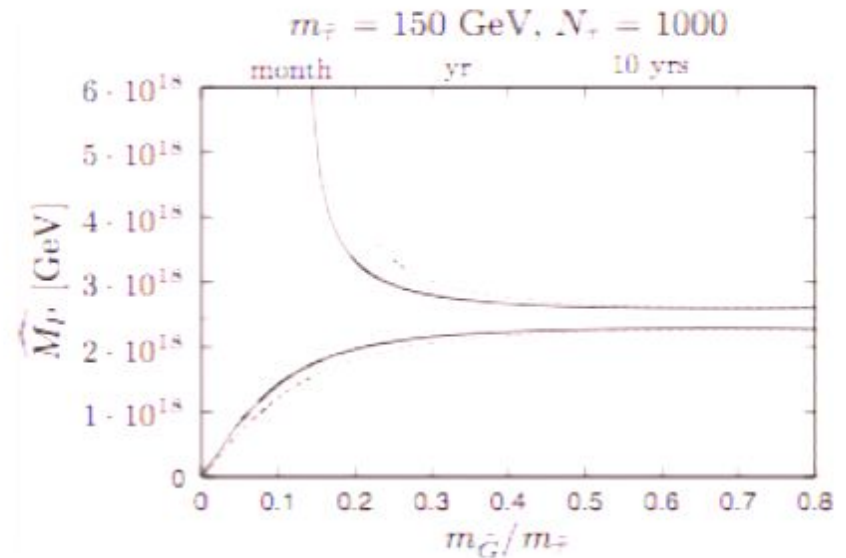
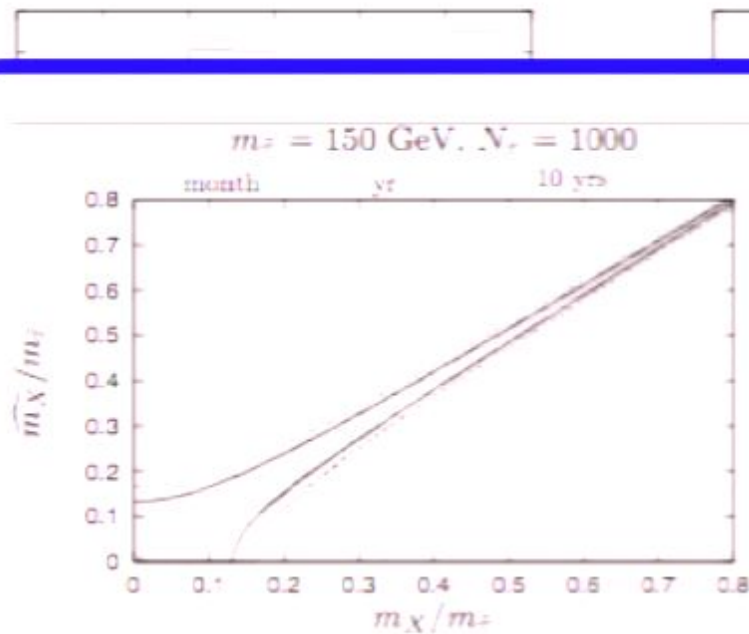


$$m_G = \sqrt{m^2 + \dots}$$

side Remark
of Steffen's talk

Planck scale measurement

Crucial to determine the tau energy precisely.



gravitino vs axino at the LHC

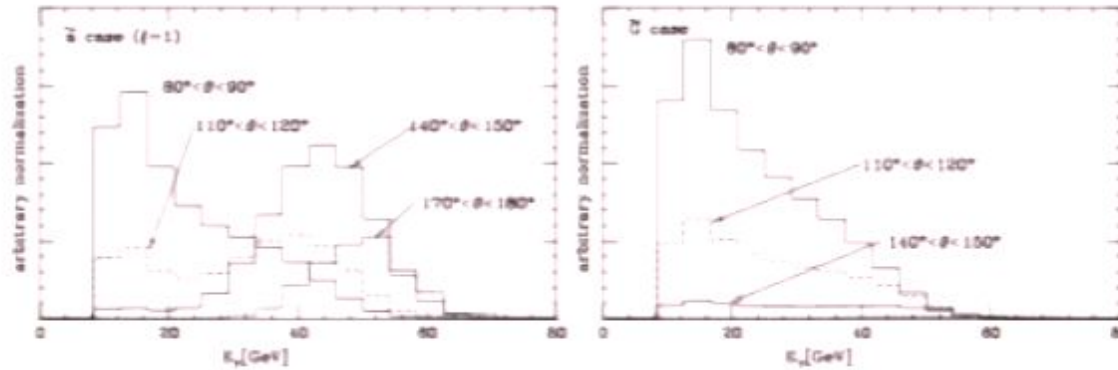


FIG. 18: The distribution of E_+ in some θ intervals for $\tilde{\tau} \rightarrow \tau \gamma X$ decay. left panel: $X = \tilde{a}$ ($\xi = 1$), right panel: $X = \tilde{G}$, $m_{\tilde{a}} = 100$ GeV, and $m_{\tilde{B}} = 130$ GeV.

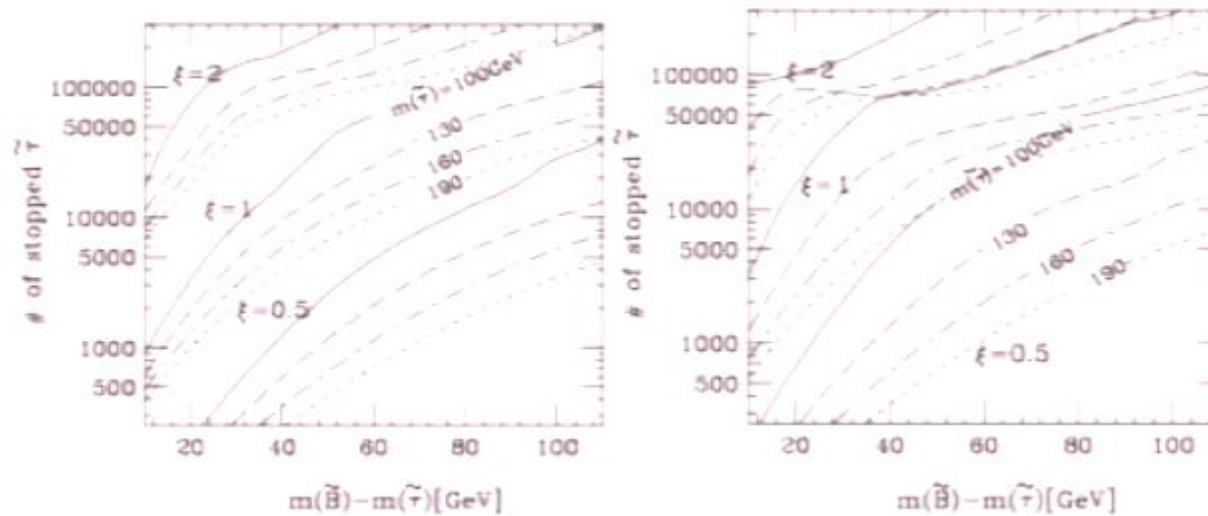
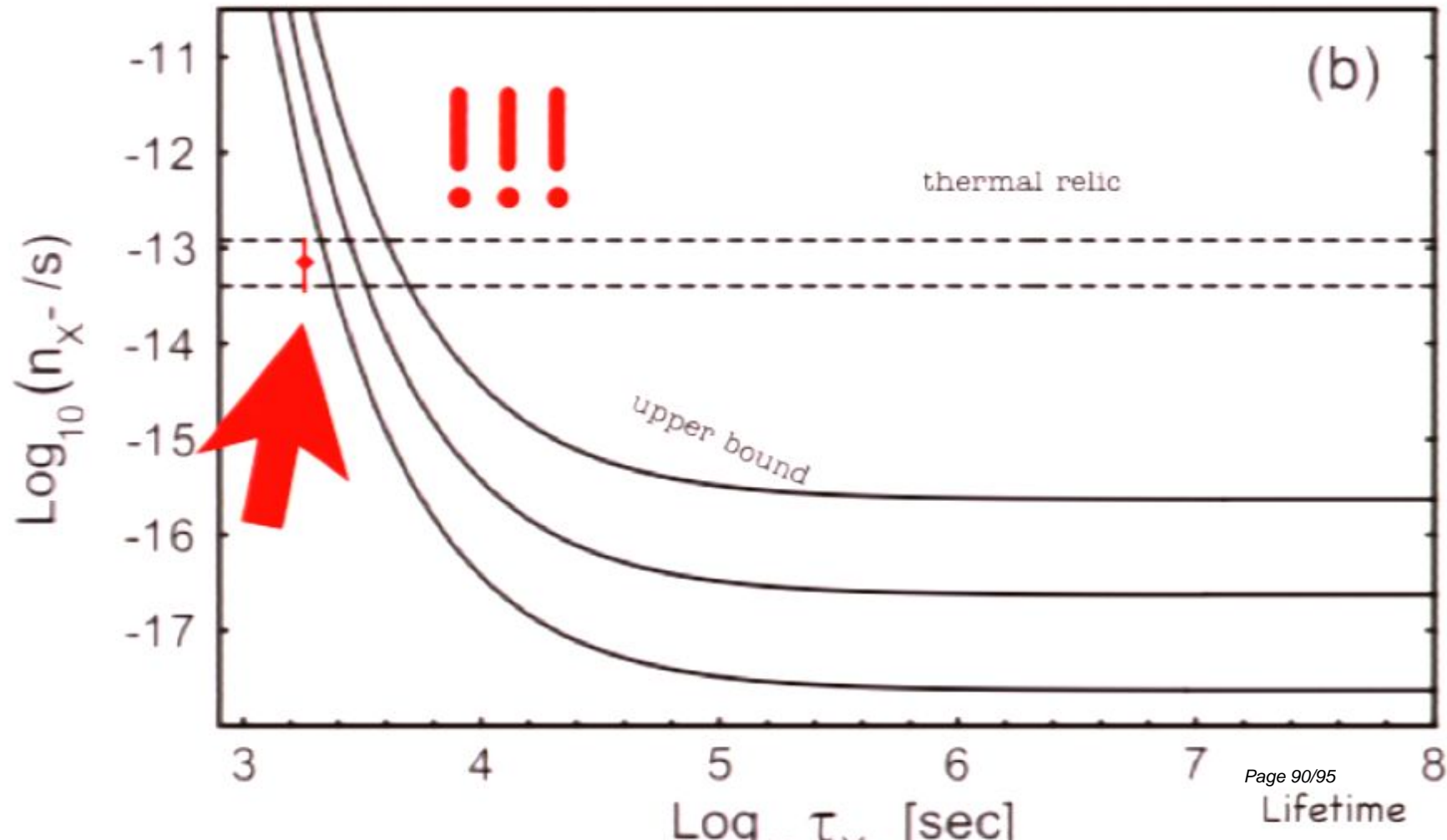


FIG. 19: Statistics required to distinguish axino scenario from gravitino scenario. left for $m_{\tilde{G}} = m_{\tilde{a}} = 1$ GeV and right for $m_{\tilde{G}} = m_{\tilde{a}} = 30$ GeV

$$\frac{\Delta Y_{\bar{\tau}}}{Y_{\bar{\tau}}} \sim \begin{matrix} +100\% \\ -50\% \end{matrix} \quad \text{and} \quad \frac{\Delta \tau_{\bar{\tau}}}{\tau_{\bar{\tau}}} \sim \mathcal{O}(\%)$$

$$\frac{\Delta Y_{\tilde{\tau}}}{Y_{\tilde{\tau}}} \sim \begin{matrix} +100\% \\ -50\% \end{matrix} \quad \text{and} \quad \frac{\Delta \tau_{\tilde{\tau}}}{\tau_{\tilde{\tau}}} \sim \mathcal{O}(\%)$$

abundance



Summary

- In SUSY, **Gravitino LSP** and **Stau NLSP** is a natural choice.
- Long-lived **Stau** with $\tau > O(1)$ sec (especially > 1000 sec) may affect the BBN!
- It can be **tested** at the **LHC!**
 - can precisely measure the **mass**,
 - and hence the thermal relic **abundance**,
 - and **if staus can be trapped**,the **lifetime** can also be precisely measured !



No Signal

VGA-1

No Signal

VGA-1