

Title: Special Topics in Physics - Lecture 13B

Date: Apr 09, 2008 08:00 PM

URL: <http://pirsa.org/08040042>

Abstract: The Problem of Time in Quantum Gravity and Cosmology

# Distant Simultaneity

# STANDARD TIME ZONES OF THE WORLD











## Time zones remind us

- that we spread time (phase) across space on grounds of convenience
- that as a result we may end up traveling backwards in time
- to ask what the “true” simultaneity is behind the convention



Synchronized  
separated clocks

or are they?



Time is (standardly) spread through space so that the **one-way** speed of light is the same in all directions (i.e. “isotropic”).

This is the **Poincaré-Einstein convention** for synchronizing distant clocks.

(Avoid thinking of it operationally!)



# J. Henri Poincaré (1854–1912) Polymath

see Peter Galison,  
*Einstein's clocks, Poincaré's maps*, 2004

- understood the conventional nature of distant simultaneity ~1900
- even in case of Newtonian mechanics!
- understood the relativity of simultaneity (H.A. Lorentz's "local time")
- anticipated Einstein's relativity principle and (along with H.A. Lorentz and J. Larmor) almost all the equations of Einstein's special theory of relativity



Relativistic Equations

$$t' = t - \vec{\alpha} \cdot \vec{x}$$

$$t' = \frac{1}{(1 - \alpha v)} (t - \alpha x)$$

$g_{\mu\nu}$

$t$

I

II

$\alpha_I \otimes$

$H_{INT}$

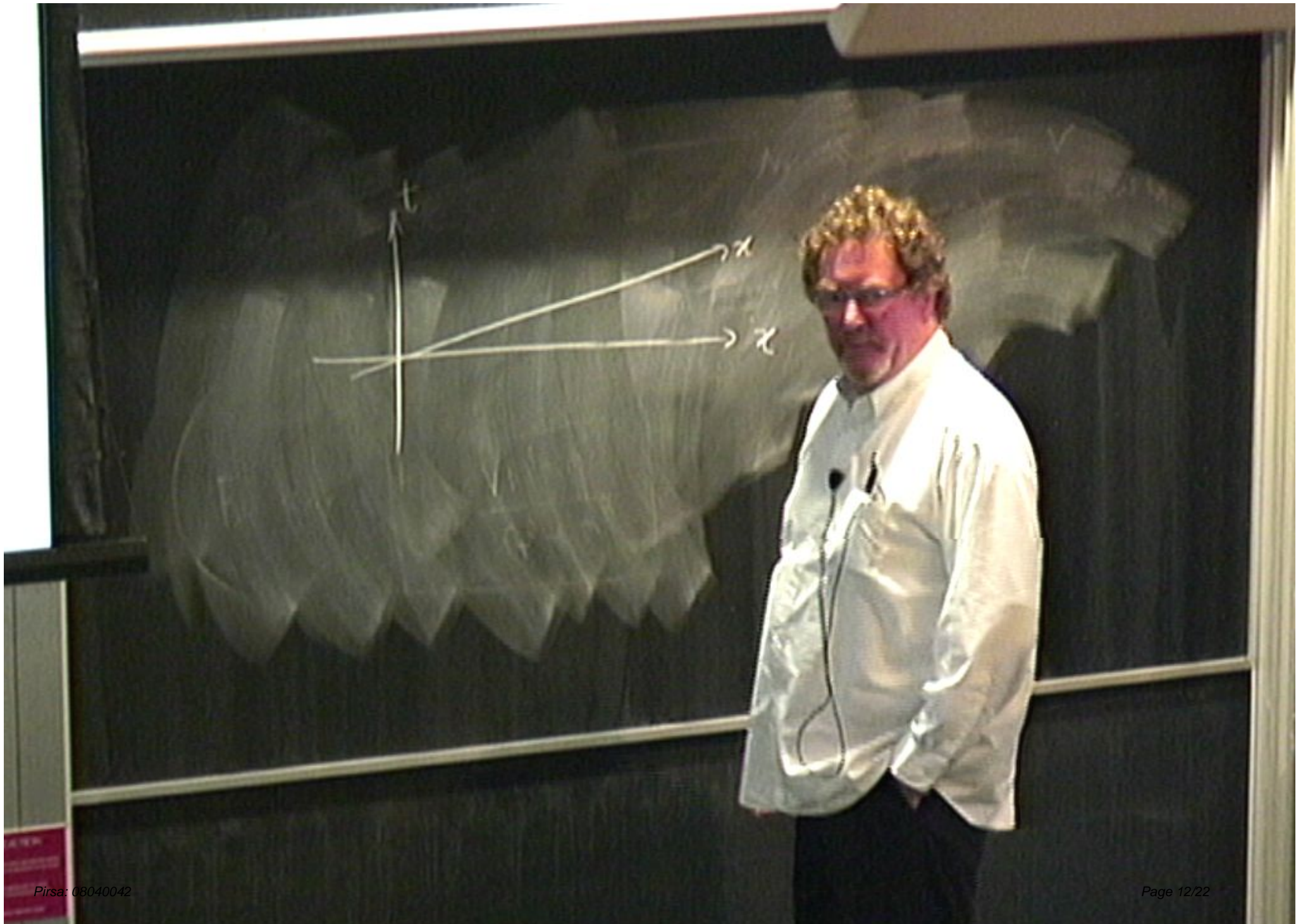
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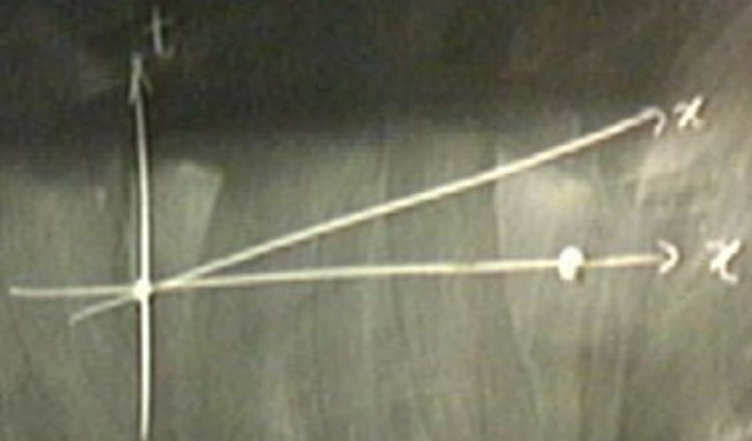
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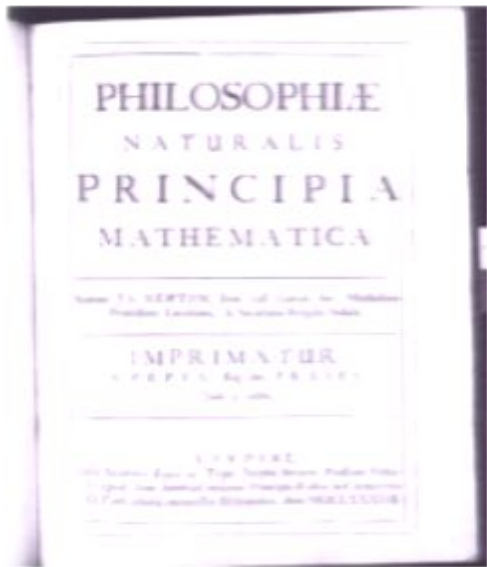






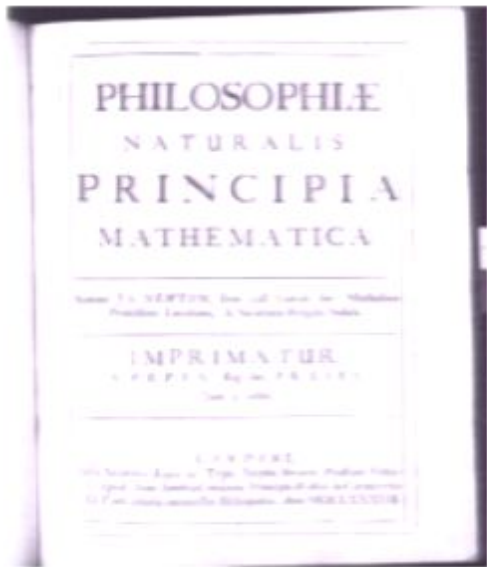






## Newton and simultaneity

- Simultaneity is ill-defined until action-at-a-distance forces like gravity or magnetism are considered.
- Simultaneity can be defined by clock transport, or equivalently by making gravitational actions instantaneous in all directions.
- Other simultaneity conventions could still be used, but they would be inconvenient, or complicated (**Poincaré**). They would involve gravity acting backwards in time in some directions.
- There are no convincing grounds in Newtonian physics for the notion of the flow of time.



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# Relativity of simultaneity

- In 1905 **Einstein** argues that the simultaneity relation depends on the state of motion of the observer. (This depends crucially on each observer adopting the Poincaré–Einstein convention.)
- Influence of **Poincaré**?
- If time is related to change, then either there are many times or, in a sense, none.





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Build

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Effect: None Order: [dropdown]

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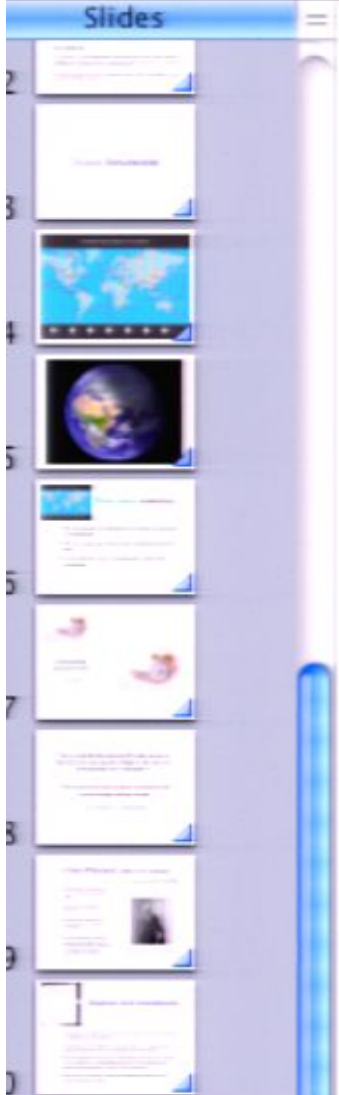
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# Sjodin-Tangherlini

$$t - \vec{\alpha} \cdot \vec{x}$$

$$\frac{1}{1 - \alpha v} \alpha$$



$$\vec{H} = m \vec{a}$$

$$\mathcal{H}_I \otimes \mathcal{H}_{II}$$

$$t - \vec{\alpha} \cdot \vec{x}$$

# Sjodin-Tangherlini

$$\frac{1}{1 - \alpha v} (t - \alpha x)$$

$$x' = \gamma(x - vt)$$

$$t' = \frac{1}{\gamma} t$$

$$(t - vx/c^2)$$



$$\gamma \quad \alpha = v/c^2$$

$$\vec{F} = m \vec{a}$$

I II  $\mathcal{H}_I \otimes \mathcal{H}_{II}$