

Title: How Much Can We Trust the Galaxies?

Date: Sep 14, 2007 11:00 AM

URL: <http://pirsa.org/07090048>

Abstract:

How Much Can We Trust the Galaxies?

astro-ph/0702584

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Massachusetts Institute of Technology — Advisor: Max Tegmark

Frontiers of Modern Cosmology Conference
Perimeter Institute — 14 September 2007

Outline

1 Introduction

- What can galaxies teach us?
- Relative galaxy bias framework

2 Methods

- Counts-in-cells: comparing pairs of galaxy samples
- A test for stochasticity and a fit for bias parameters

3 Results

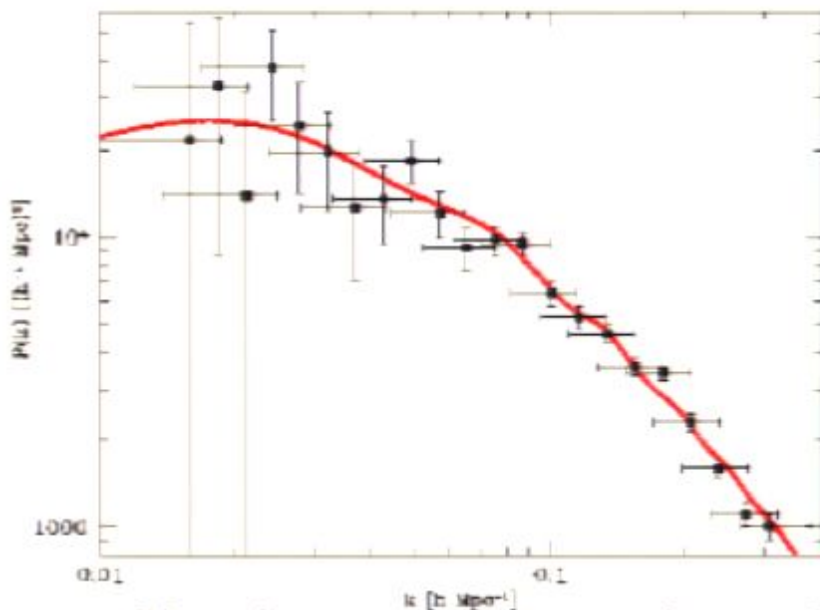
- Luminosity-dependent bias
- Stochasticity

4 Implications

- Comparison between 2dF and SDSS
- Impacts of complex bias

5 How much can we trust the galaxies?

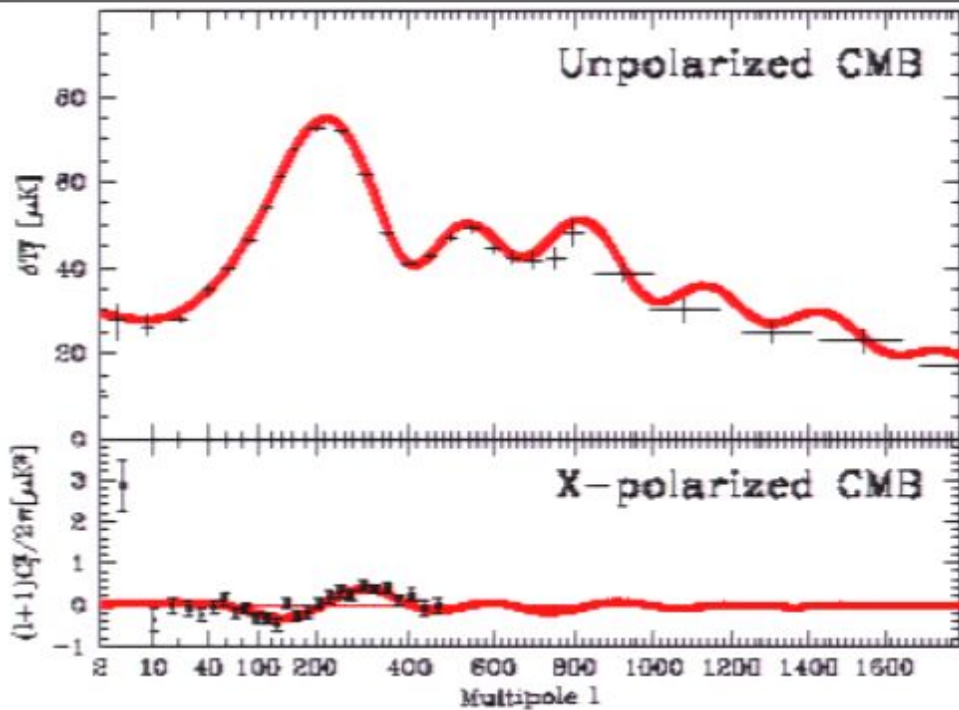
What can galaxies teach us?



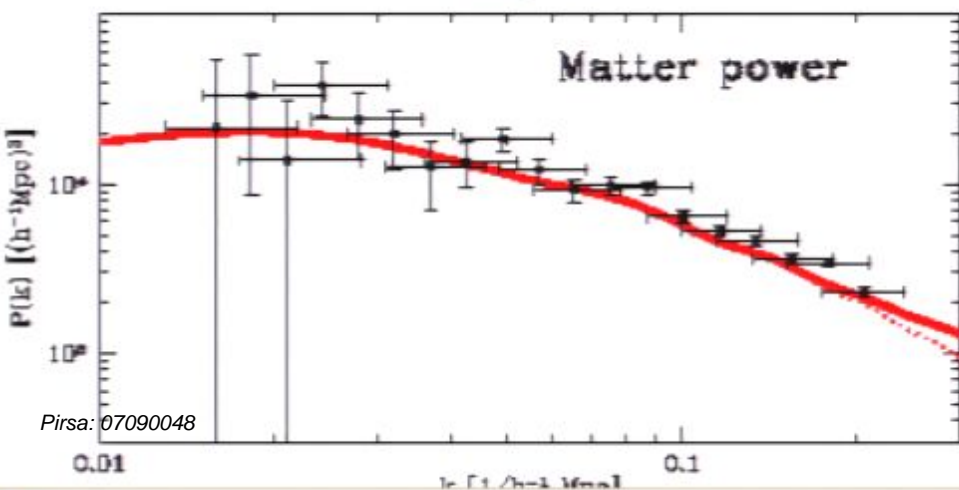
- Distribution of galaxies traces large-scale structure of the universe
- The clumpiness of the matter distribution (power spectrum $P(k)$) depends on cosmological parameters: [P\(k\) movies](#)

Need assumption about how galaxies trace dark matter

- Simplest assumption: deterministic linear bias
- Means that bias is a normalization factor for $P(k)$
- But bias could be much more complicated: scale-dependent, nonlinear, and/or stochastic



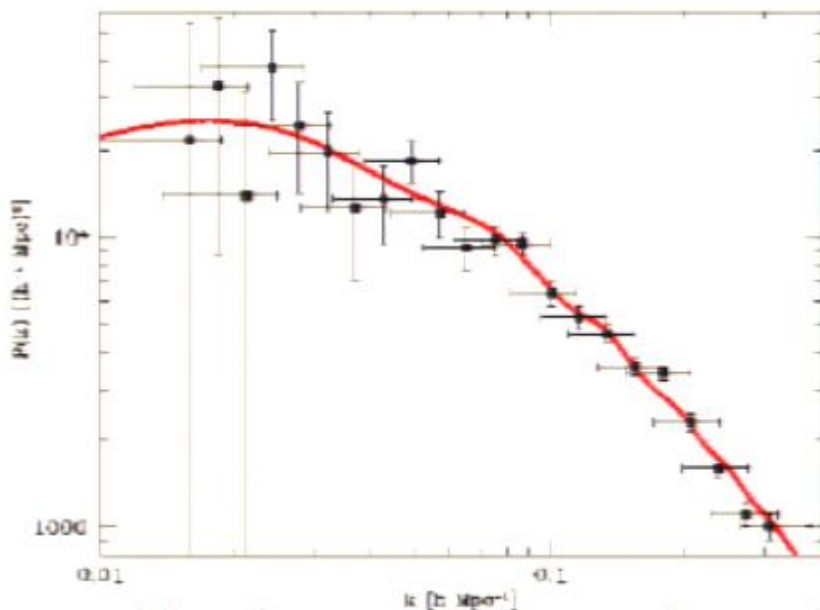
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http://space.mit.edu/home/tegmark/movies_60dpi/best_movie.htm

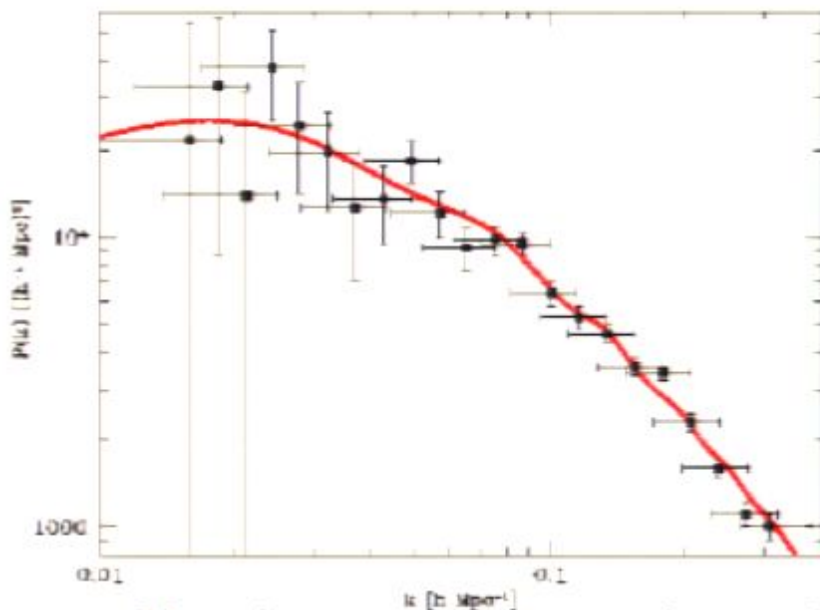
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e.g. bright vs. dim, red vs. blue
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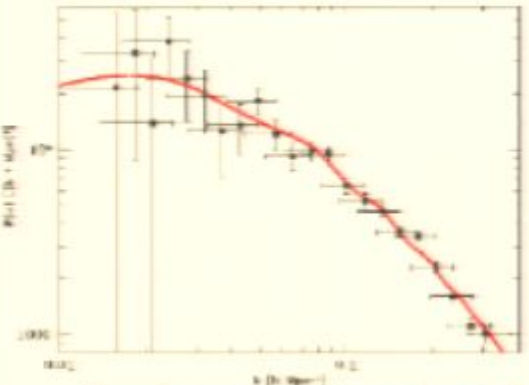


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Shadow

PDF cv.pdf

Max' power spectrum movies

http://space.m...

Google

Latest Headlines

Welcome to Gmail

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Unpolarized CMB

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$\omega_m = 0.0$

$f_b = 0.0$

X-polarized CMB

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$\Lambda_b = 0.65$

$\Lambda_m = 0.000$

Matter power

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$\alpha = 0.000$

$\beta = 0.88$

$\chi^2 = 0.000$

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bias re...

Circular orbits.p

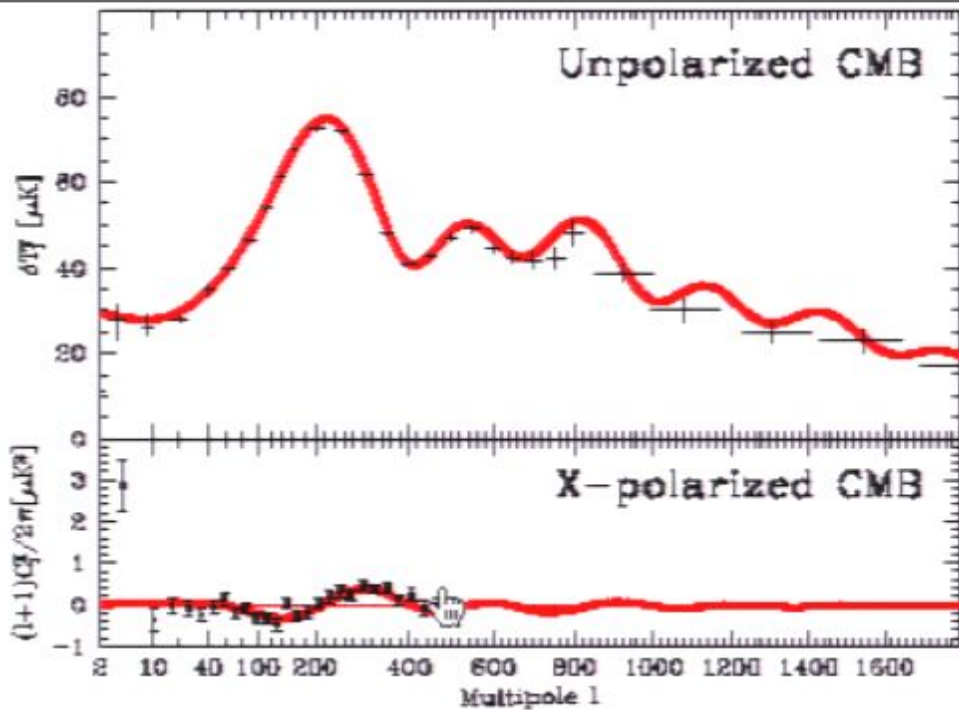
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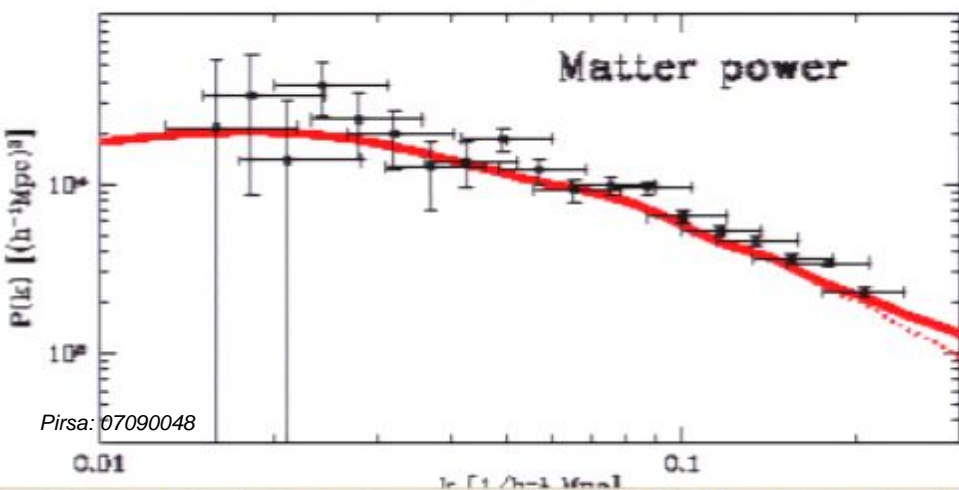
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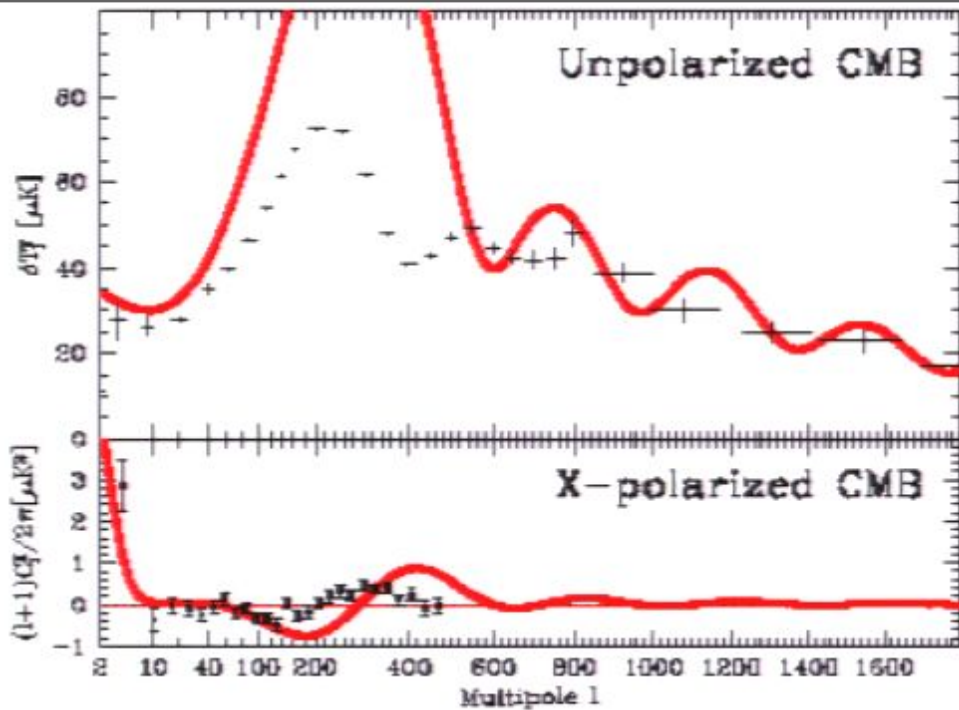
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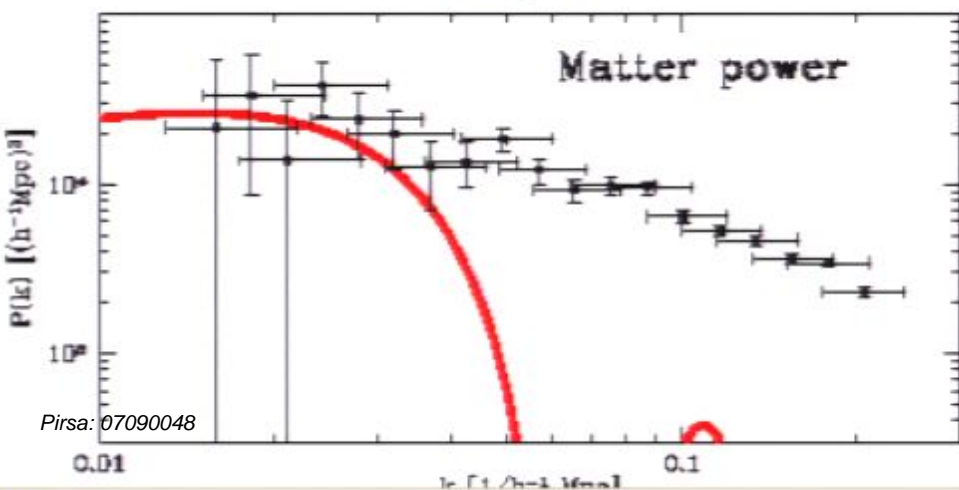
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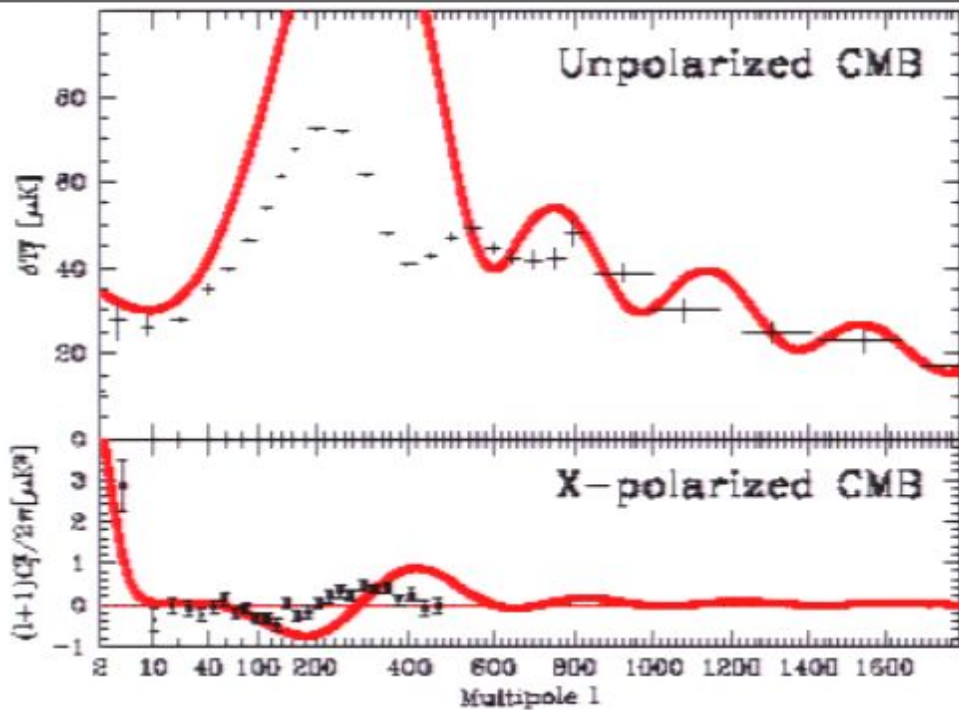
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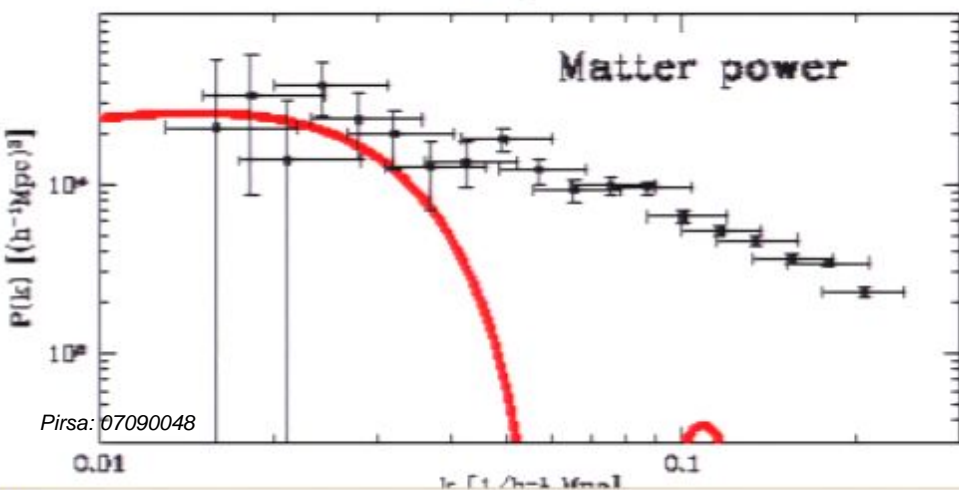
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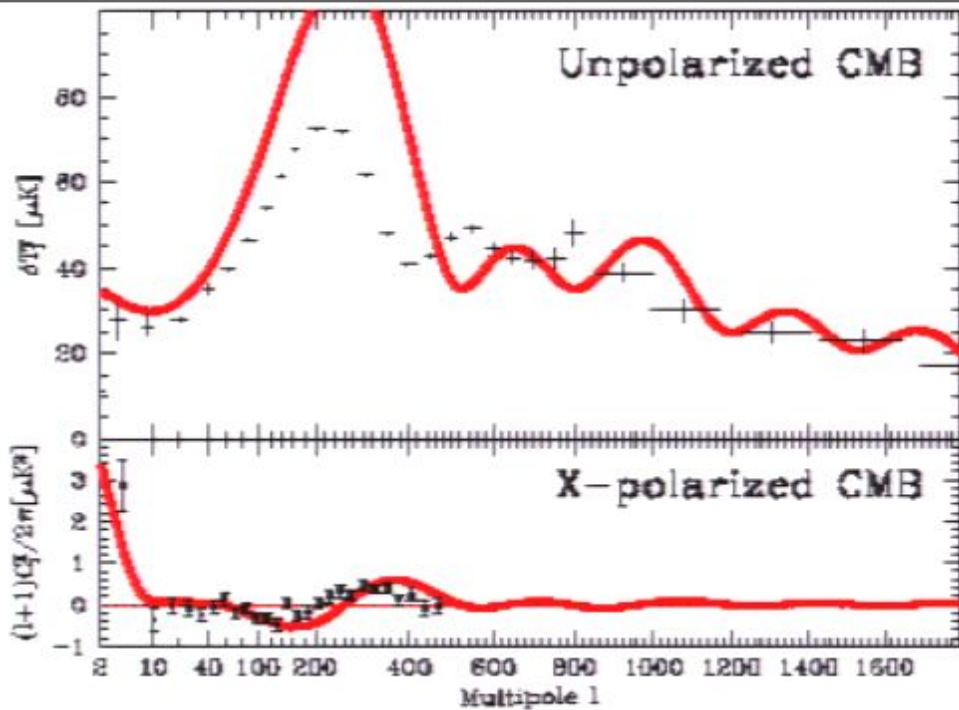
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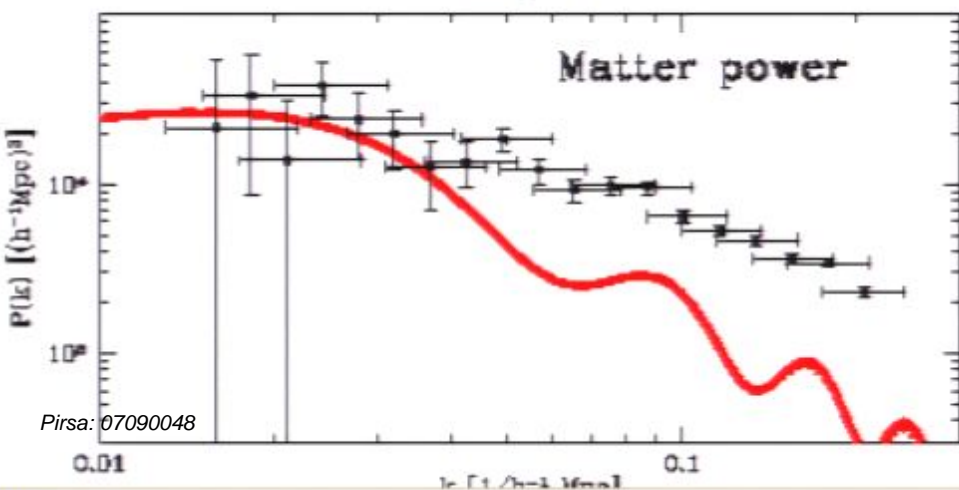
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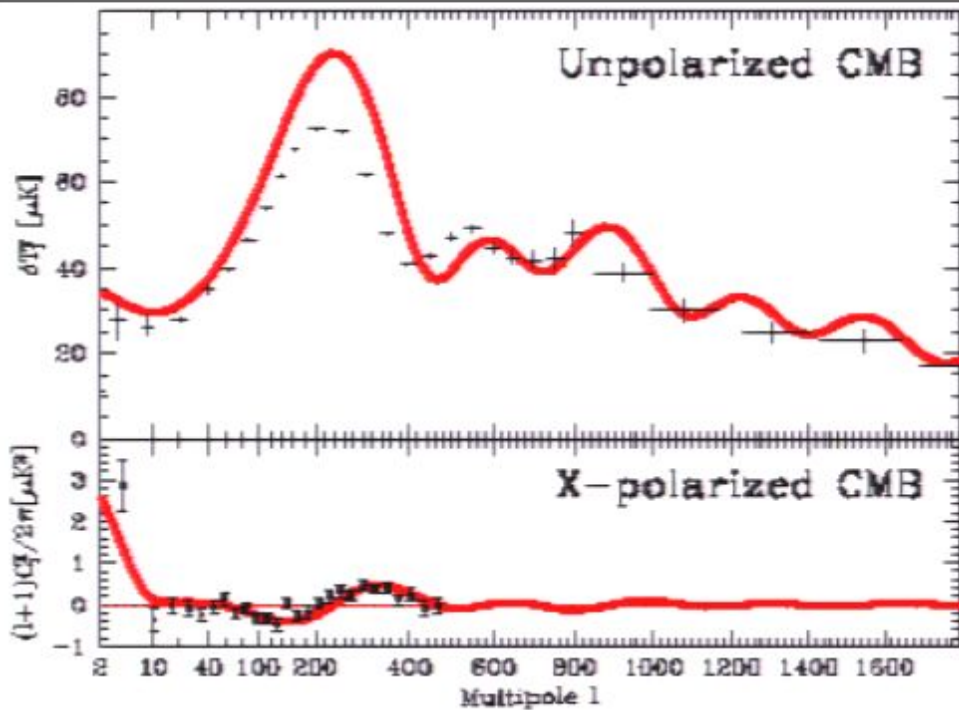


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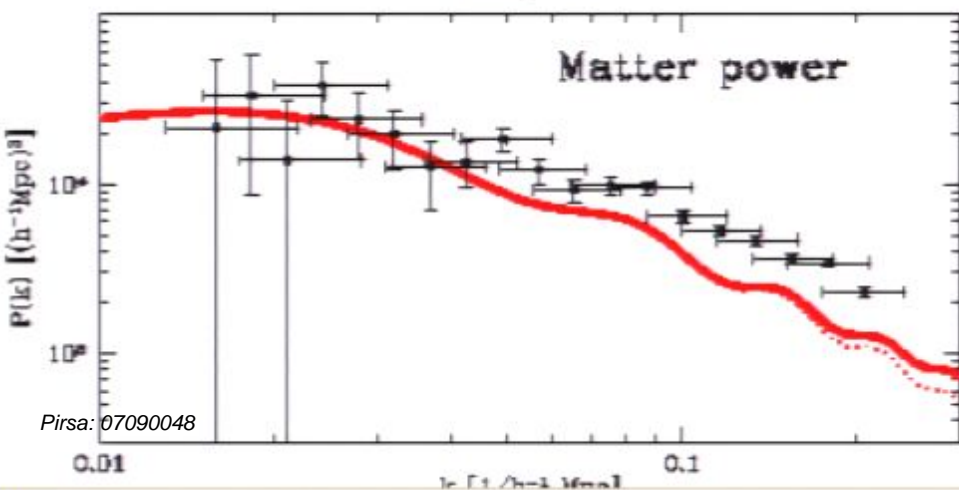


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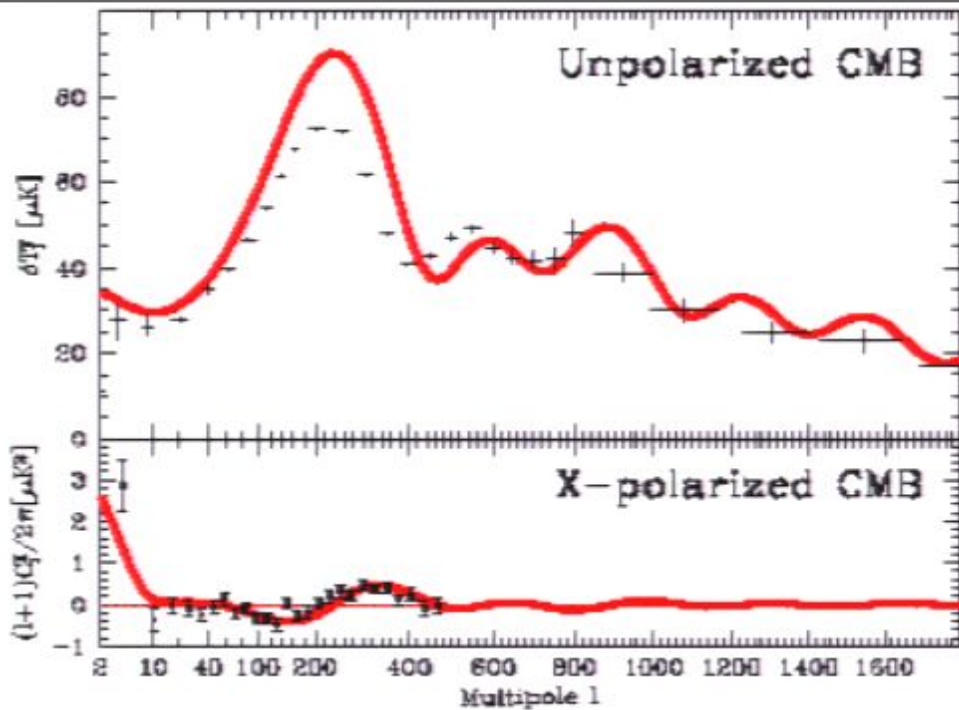


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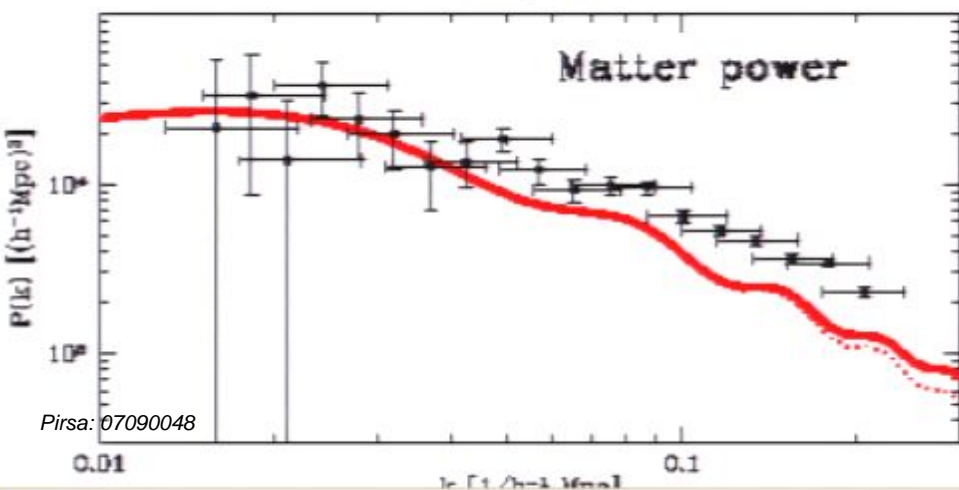


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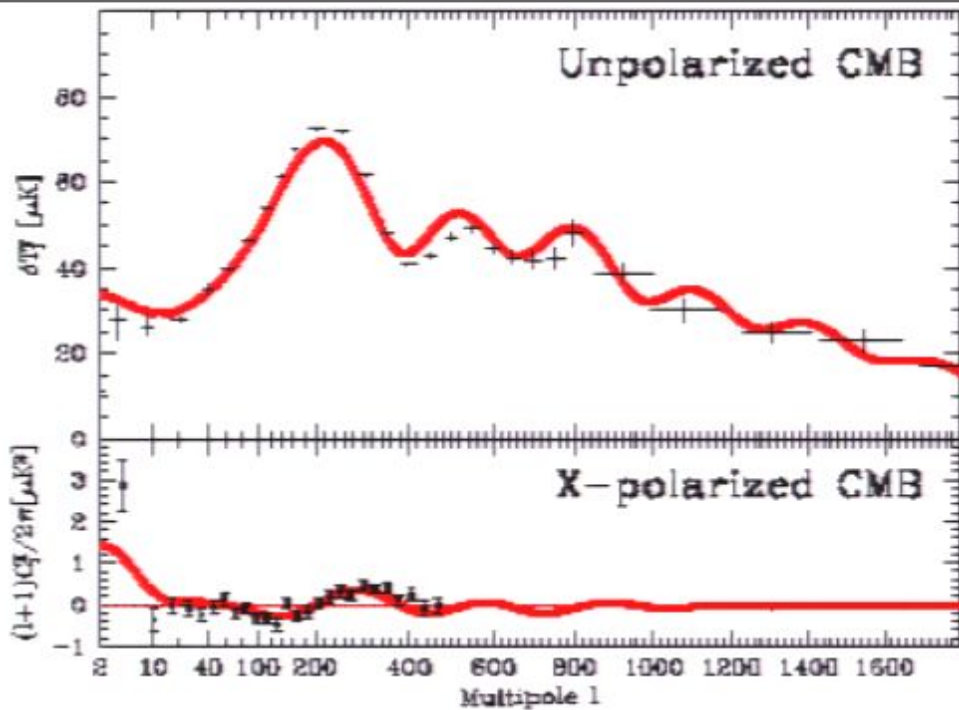
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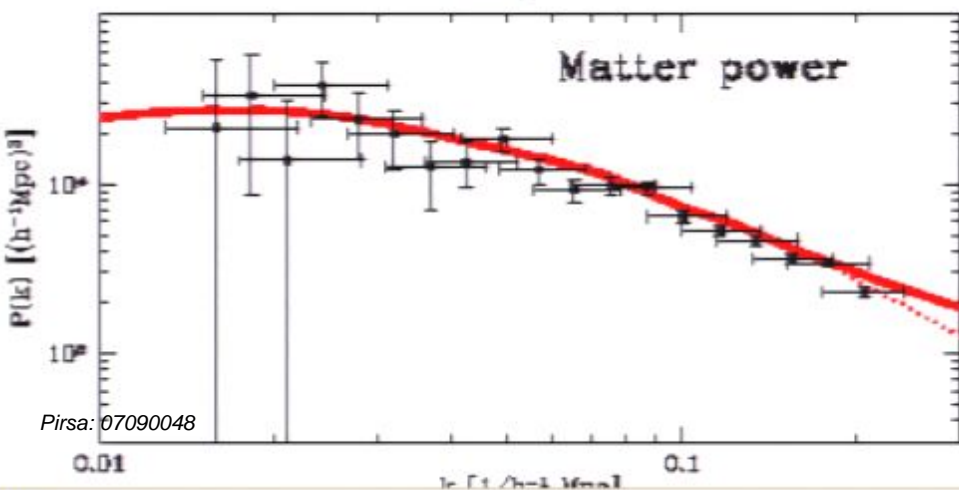
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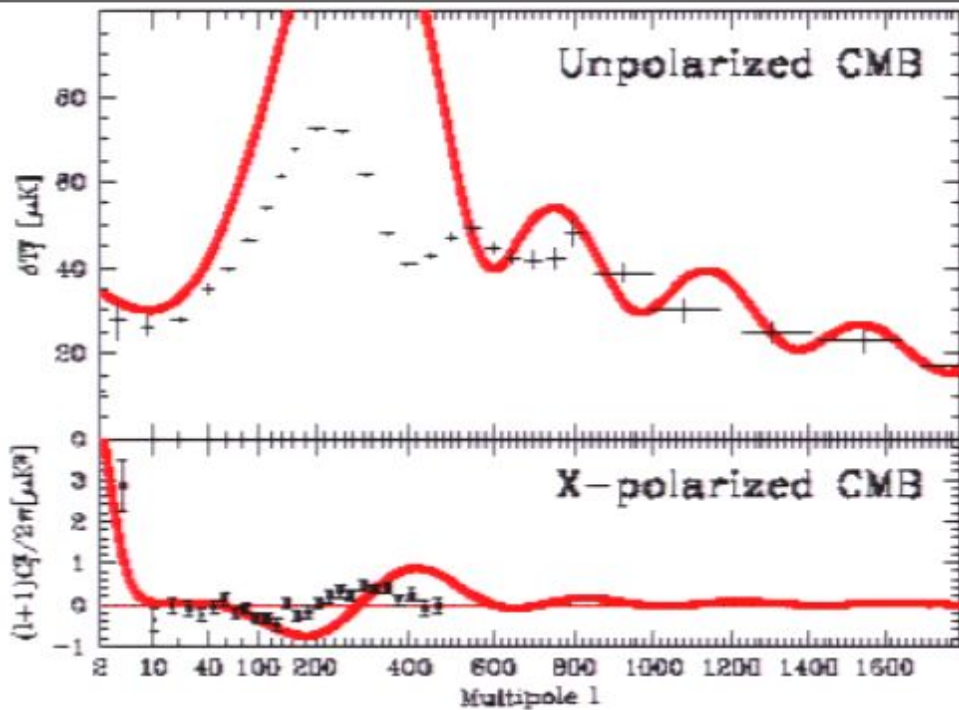
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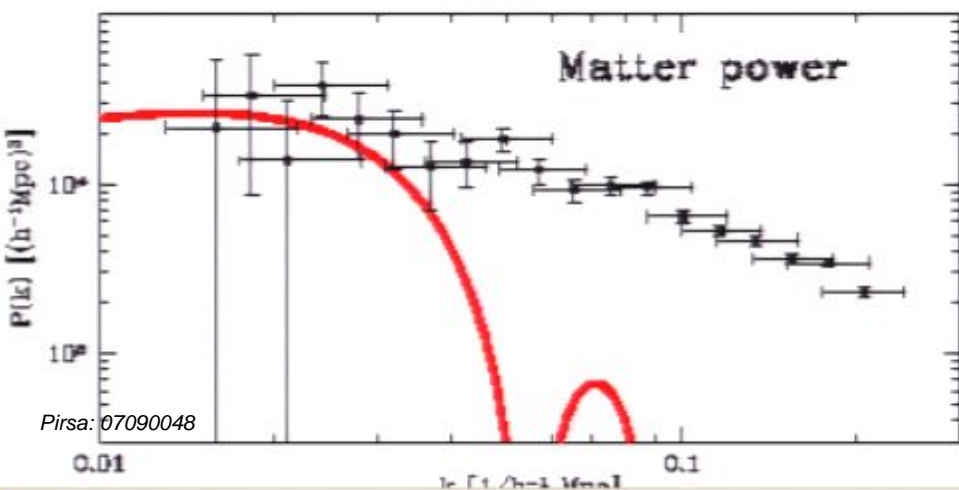
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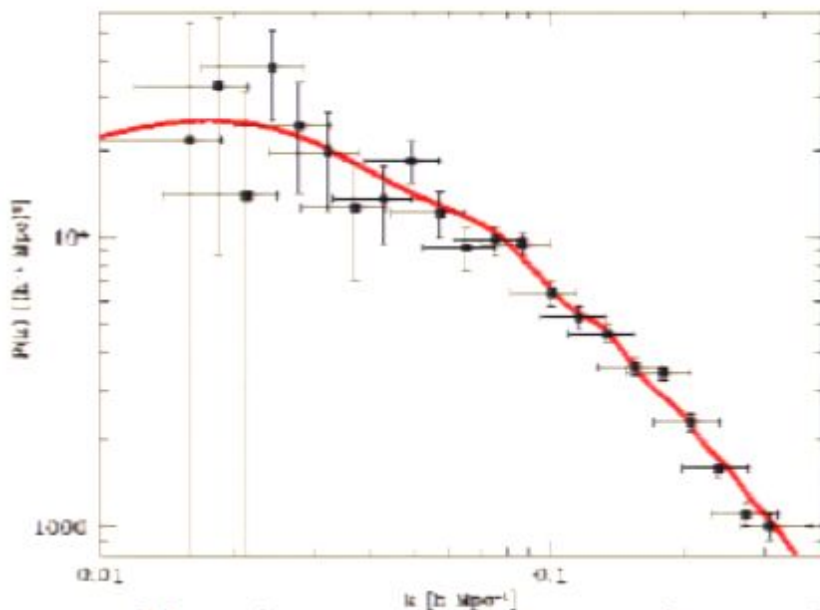


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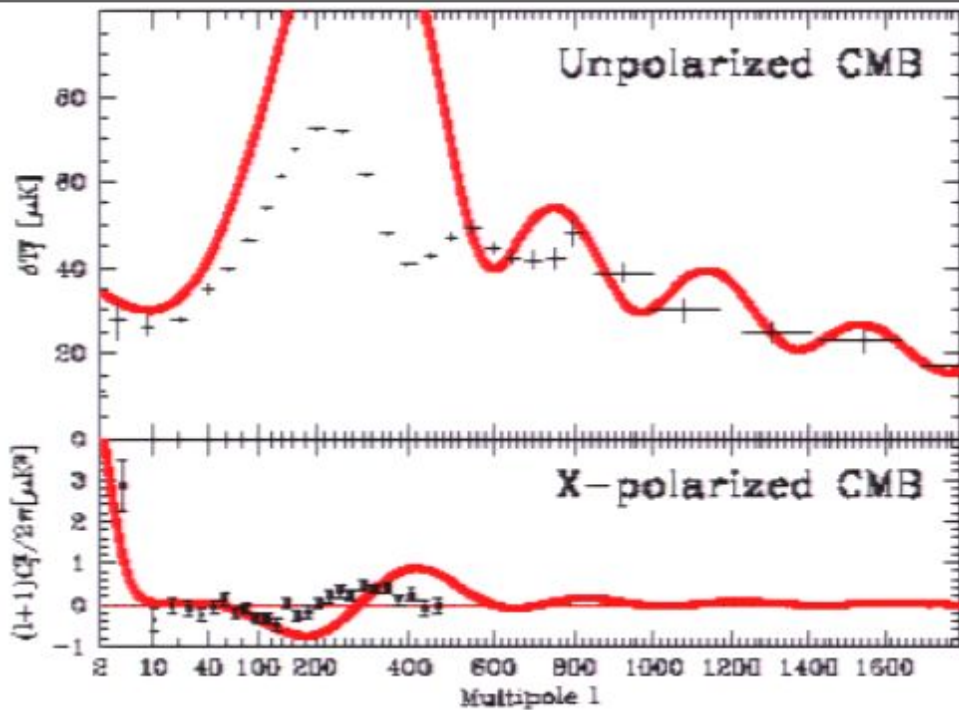
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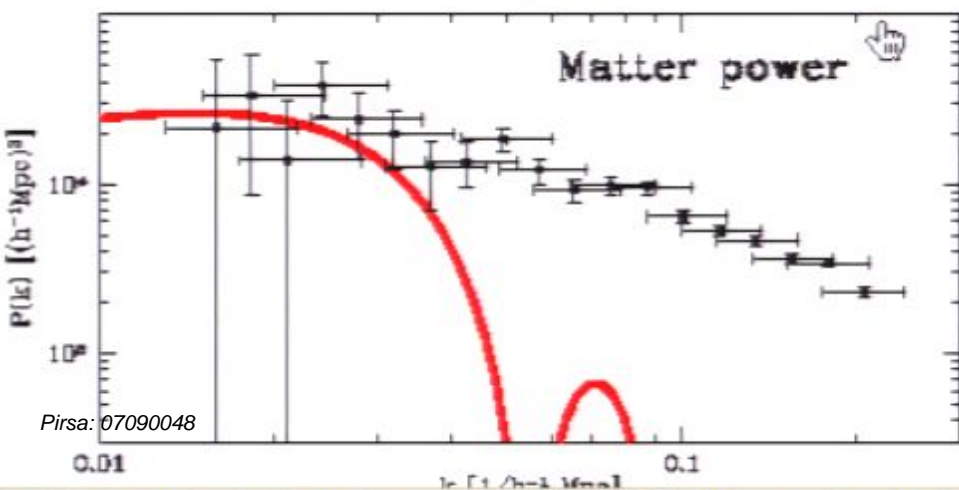
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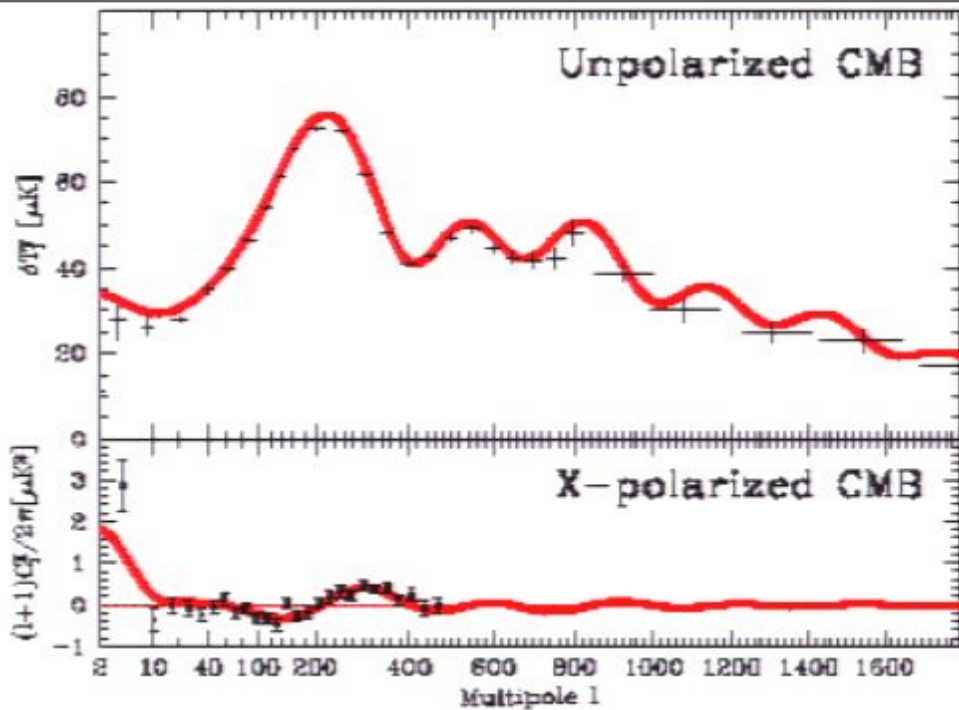
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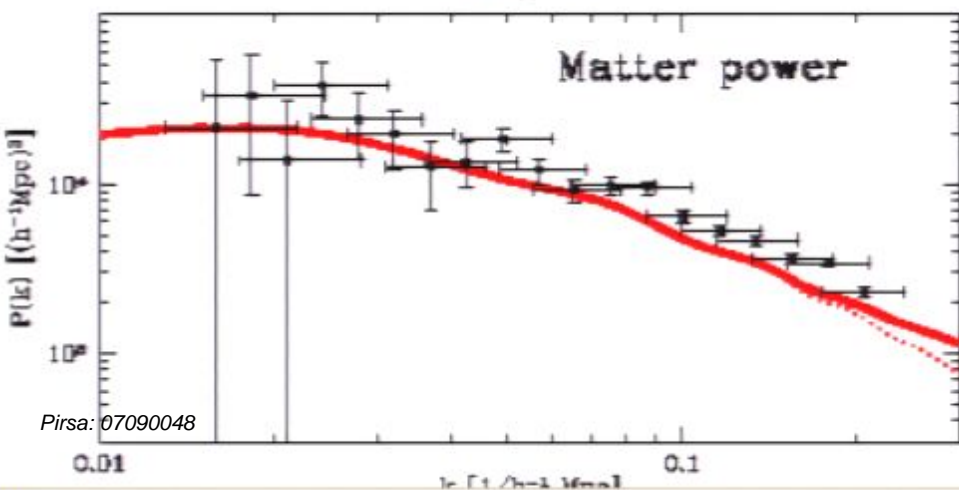
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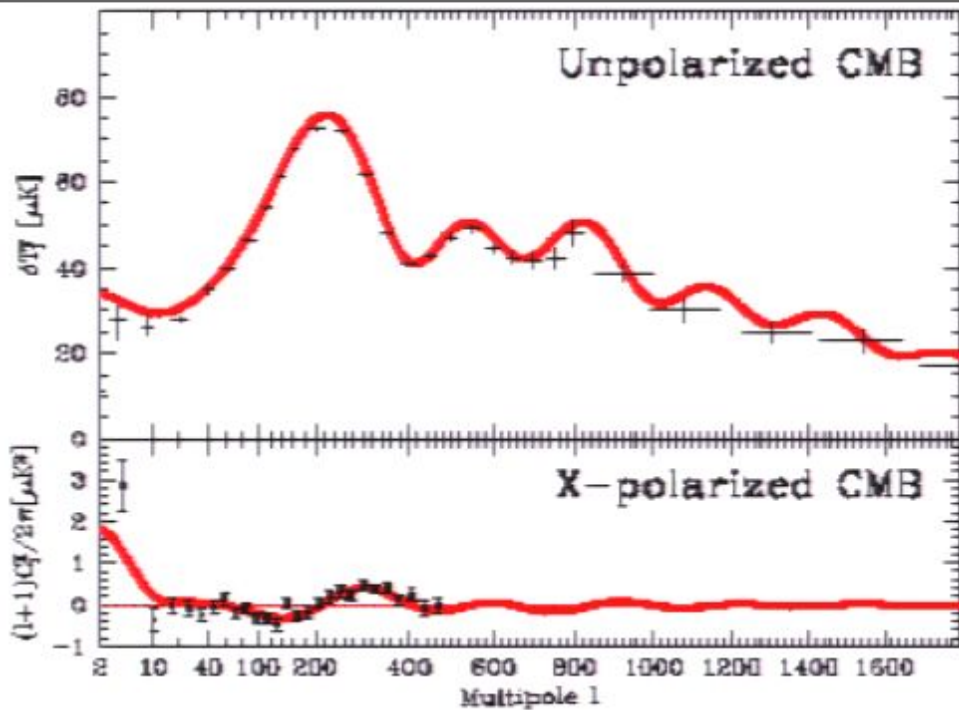


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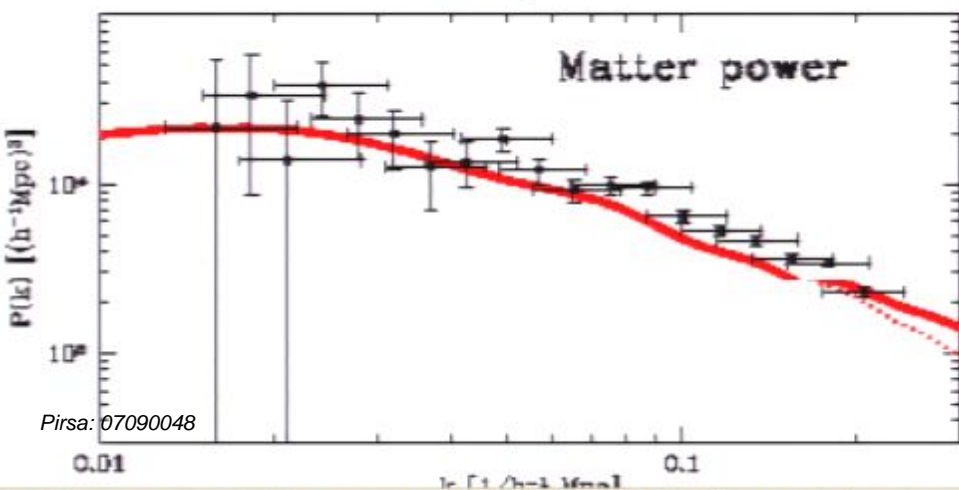


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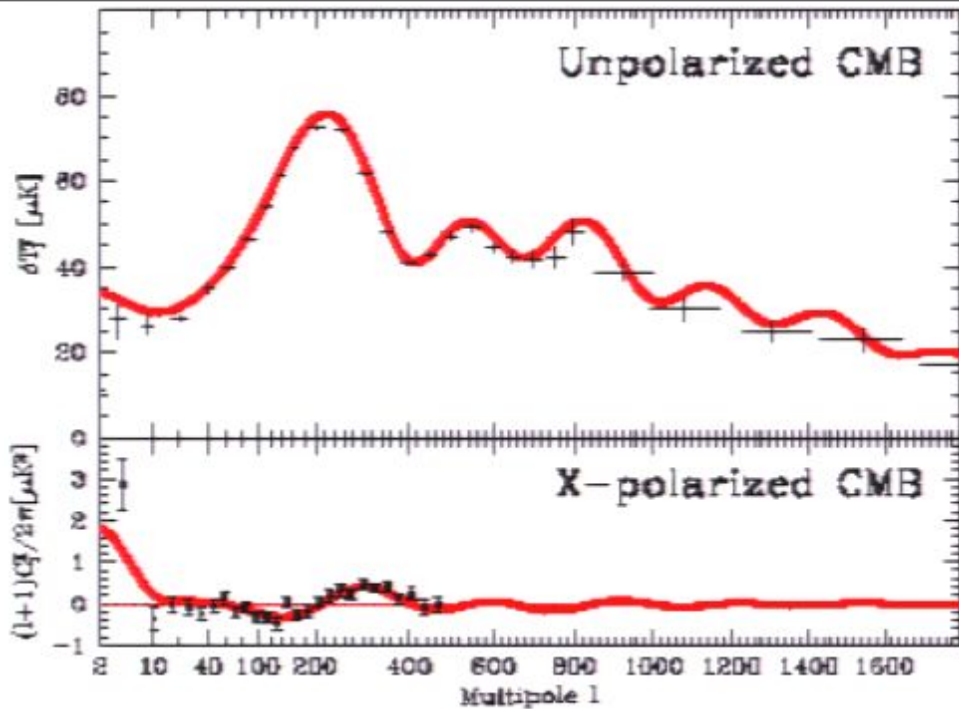


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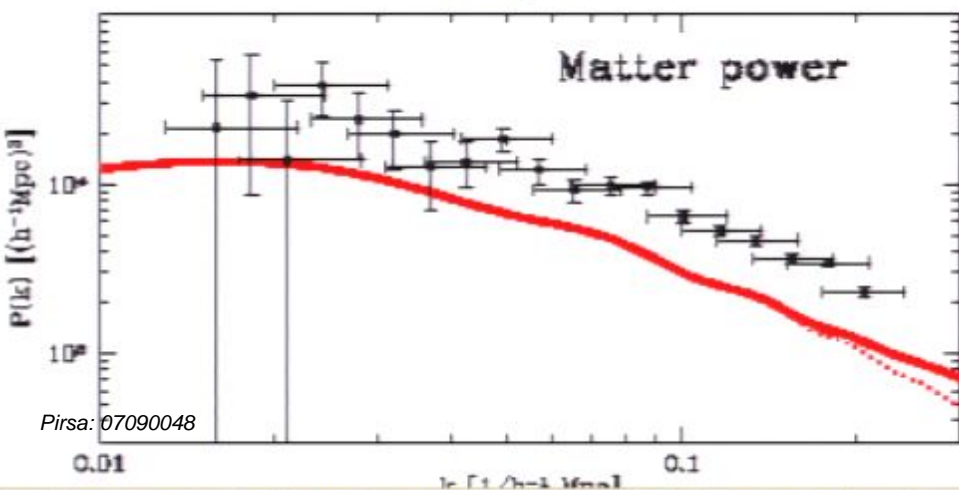


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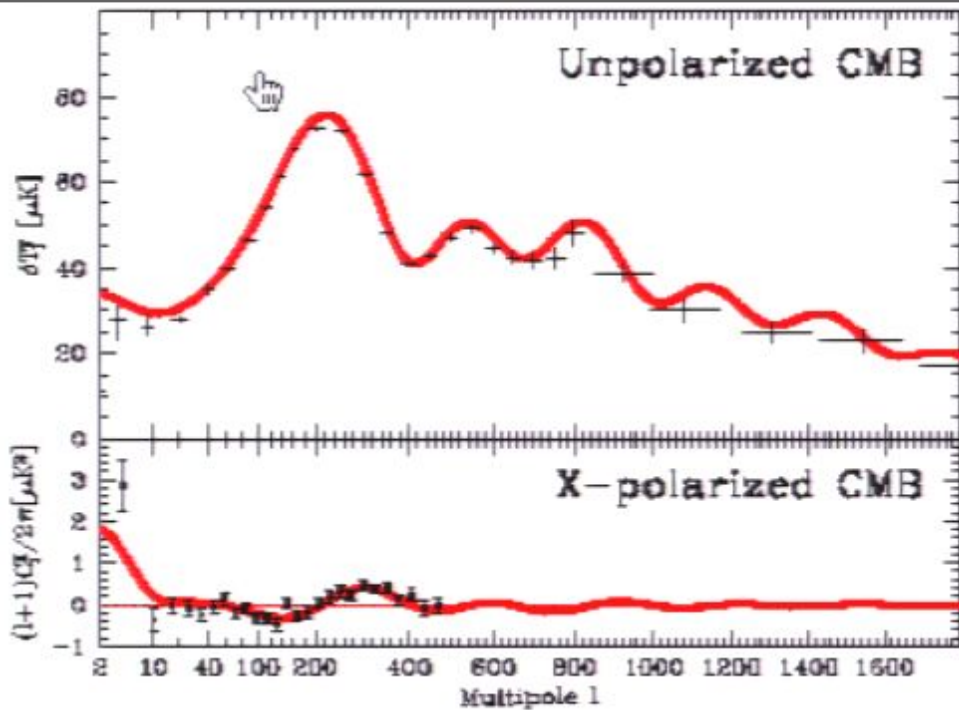
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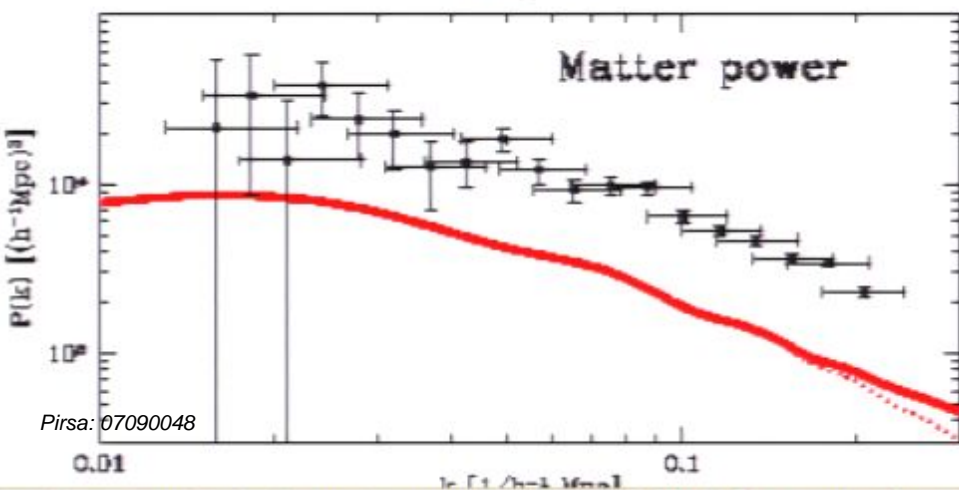
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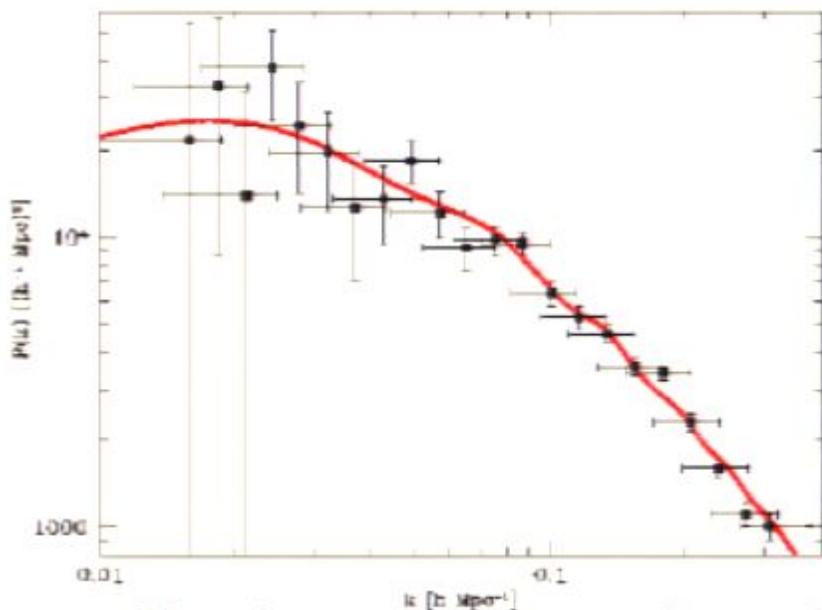


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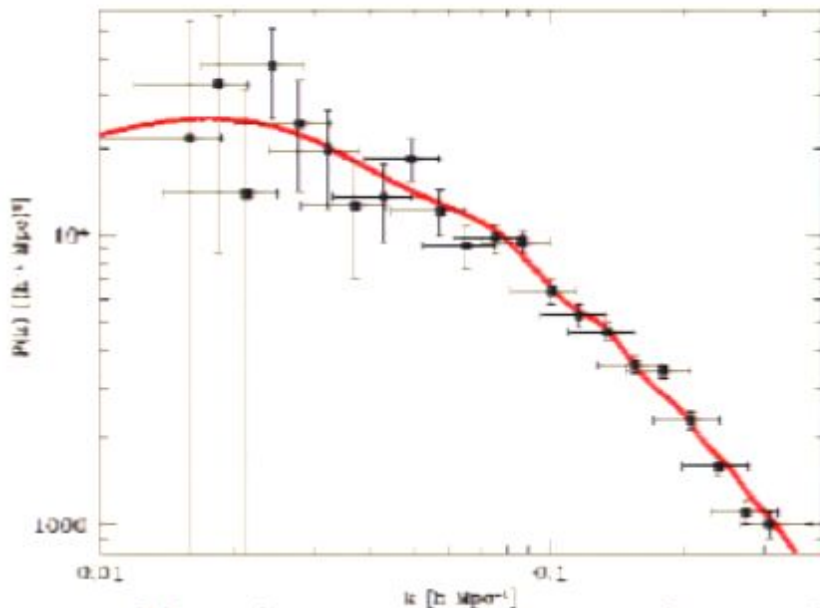


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Need a correction to $P(k)$ from flux-limited surveys
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Relative bias equations

Relate overdensities $\delta(\vec{x}) \equiv \frac{(\rho(\vec{x}) - \langle \rho \rangle)}{\langle \rho \rangle}$ of two types of galaxies:

- Simplest: deterministic linear bias: $\delta_2(\vec{x}) = b_{\text{rel}} \delta_1(\vec{x})$

Type 1 galaxies can be more or less clumpy than type 2 galaxies, but their peaks and valleys coincide

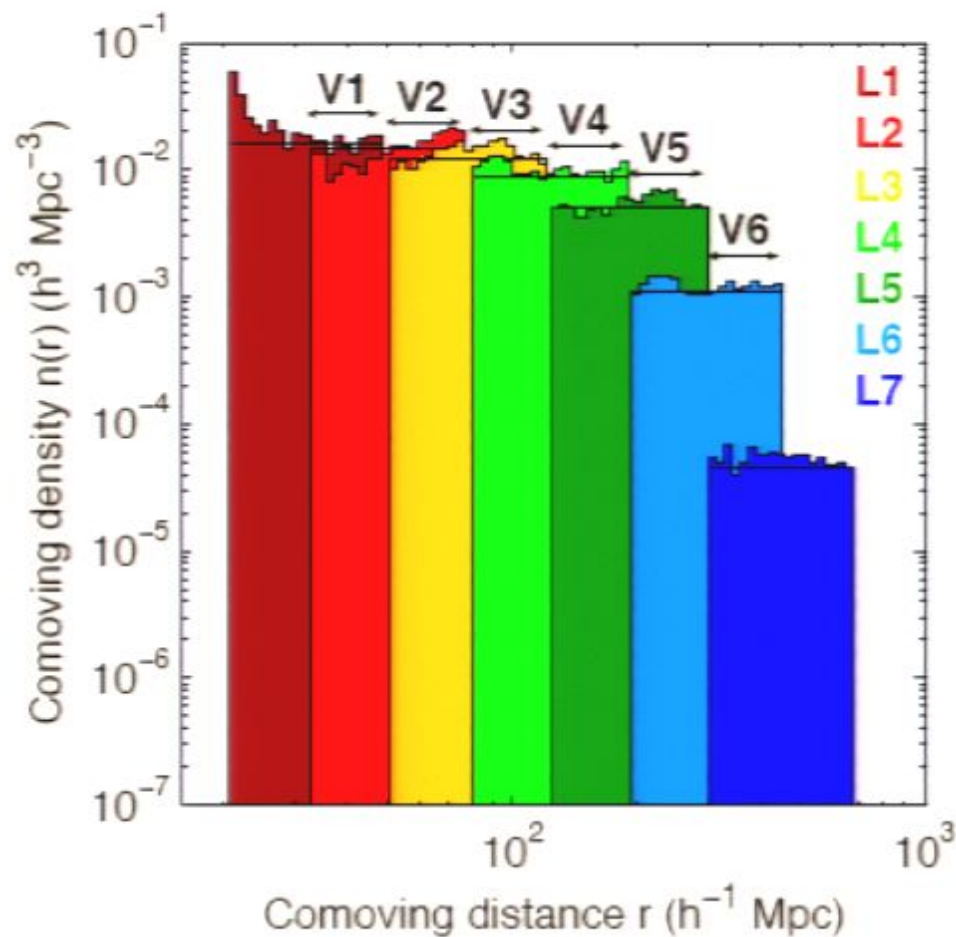
- Stochastic linear bias: $\delta_2(\vec{x}) = b_{\text{rel}} \delta_1(\vec{x}) + \epsilon(\vec{x})$

If peaks and valleys don't line up, add additional random field $\epsilon(\vec{x})$ to model relative distribution

Relative bias parameters b_{rel} and r_{rel} :

- Auto-corr: $\langle \delta_2(\vec{x}) \delta_2(\vec{x} + \vec{r}) \rangle = b_{\text{rel}}^2 \langle \delta_1(\vec{x}) \delta_1(\vec{x} + \vec{r}) \rangle$
- Cross-corr: $\langle \delta_1(\vec{x}) \delta_2(\vec{x} + \vec{r}) \rangle = b_{\text{rel}} r_{\text{rel}} \langle \delta_1(\vec{x}) \delta_1(\vec{x} + \vec{r}) \rangle$

Volume-limited samples



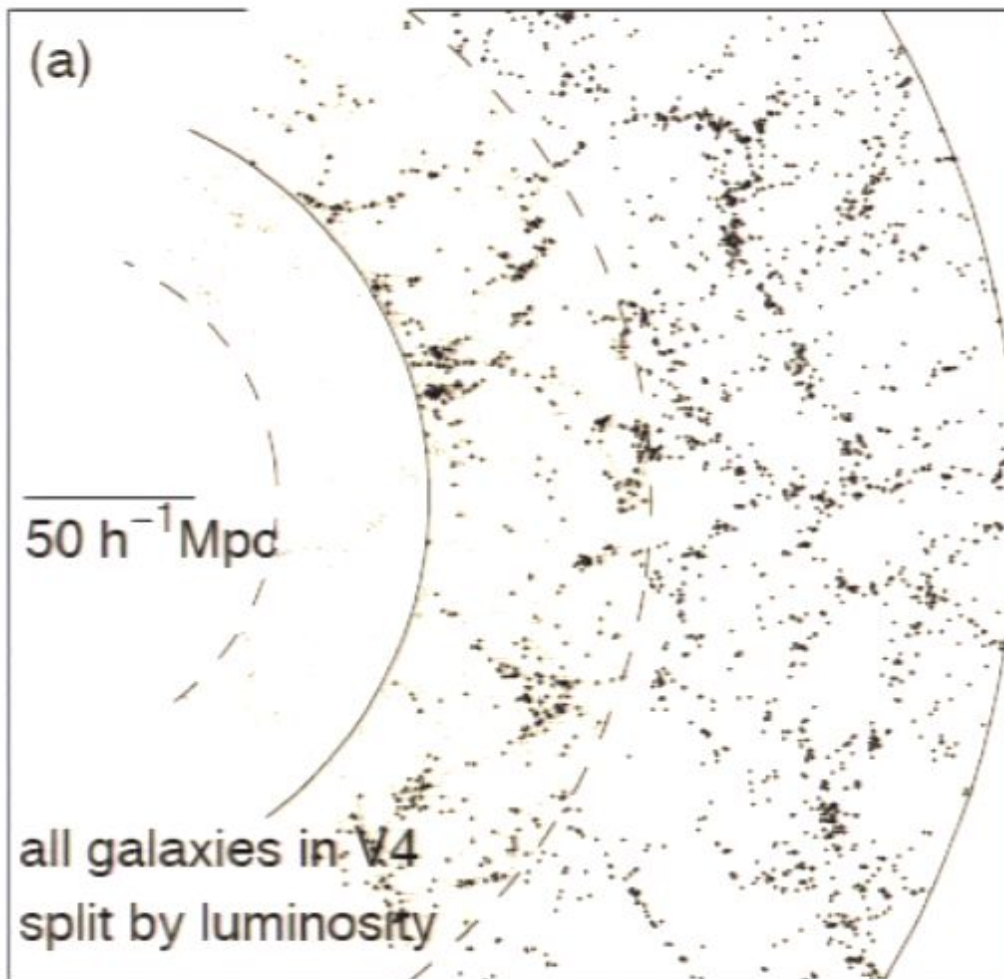
- SDSS DR5 galaxies
- Luminosity bins L1-L7
 - L1: $-17 < M_r < -16$
 - L7: $-23 < M_r < -22$
- Volume-limited samples using redshift cuts defined by apparent magnitude limits
- Compare samples in overlapping volumes V1-V6 (neighboring luminosity bins)

- Find bias between bright and dim, red and blue galaxies
- Test stochasticity and scale dependence

Pairwise comparisons

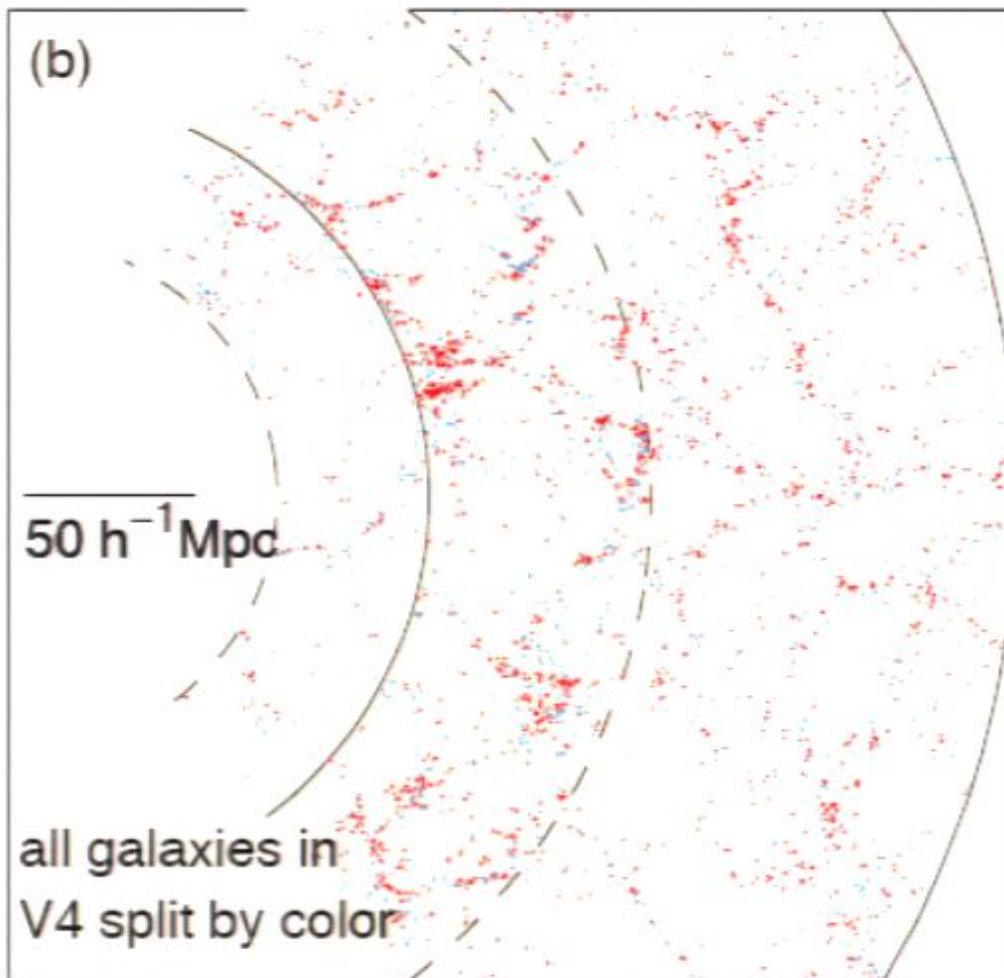
- Make four pairwise comparisons:

Pairwise comparisons



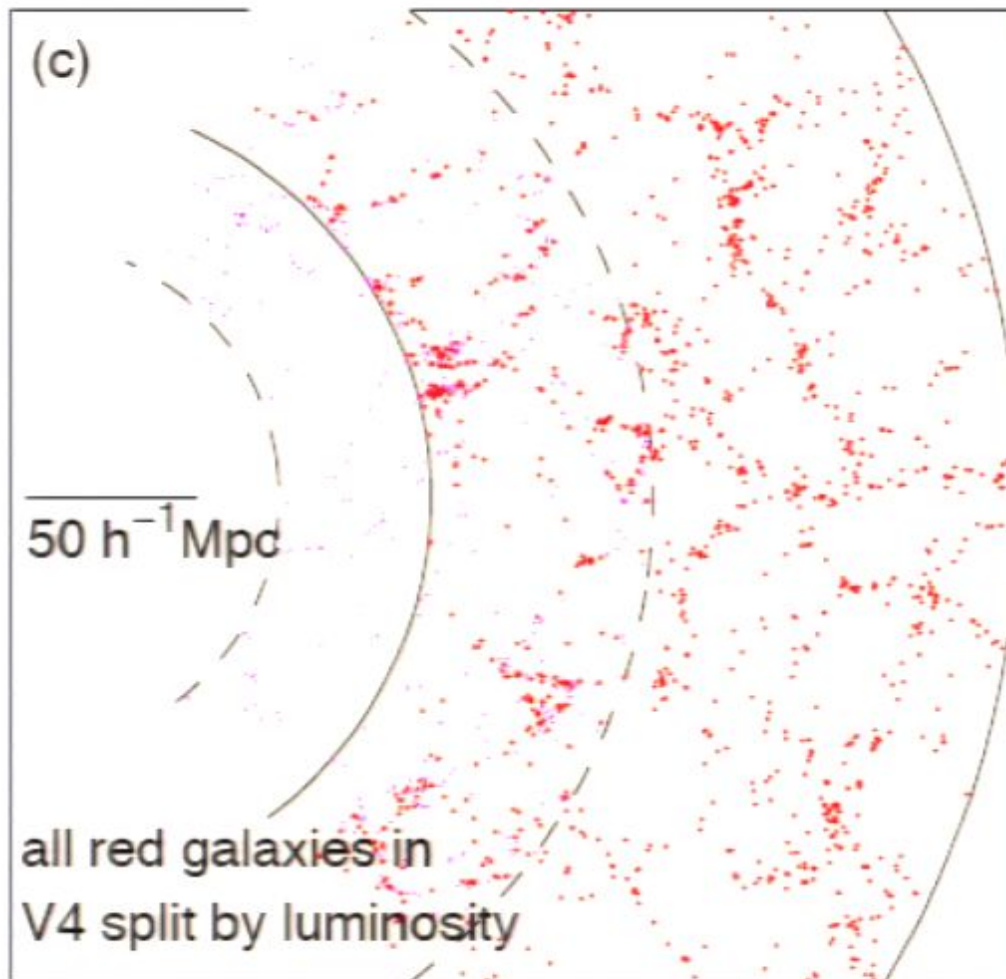
- Make four pairwise comparisons:
- (a) bright vs. dim

Pairwise comparisons



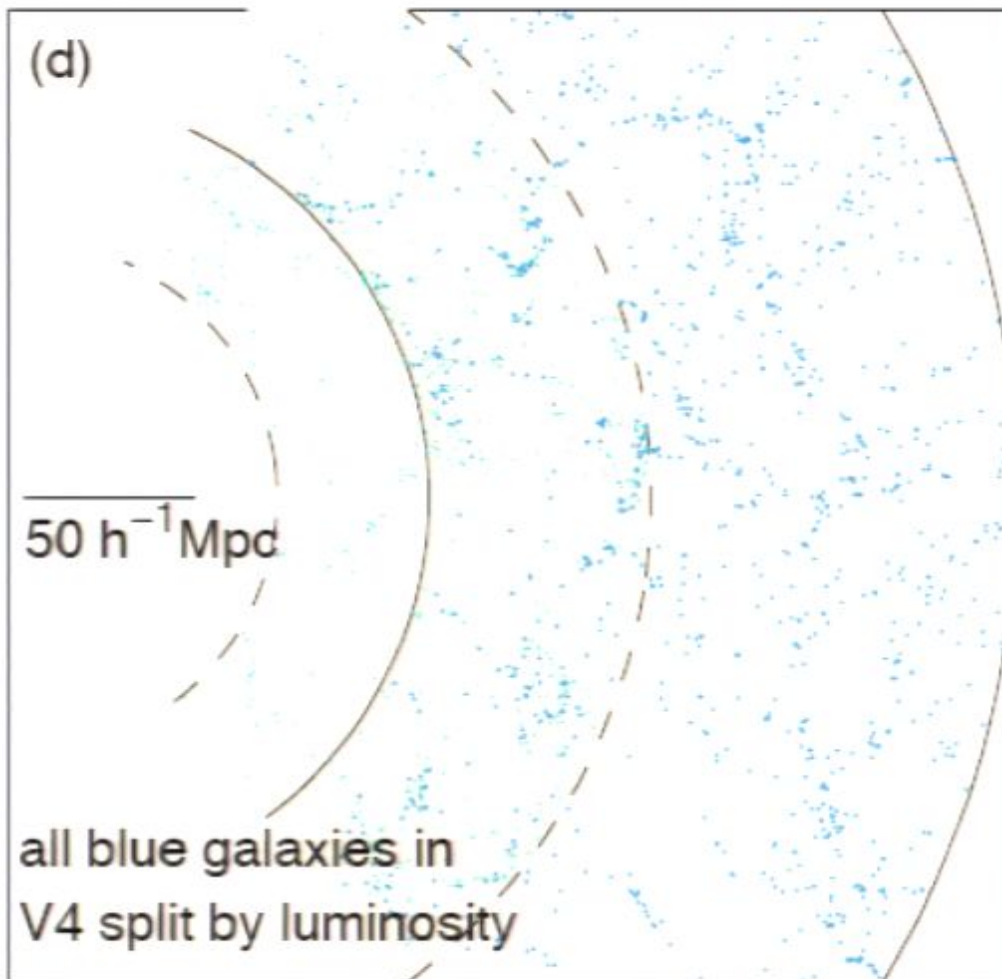
- Make four pairwise comparisons:
 - (a) bright vs. dim
 - (b) red vs. blue

Pairwise comparisons



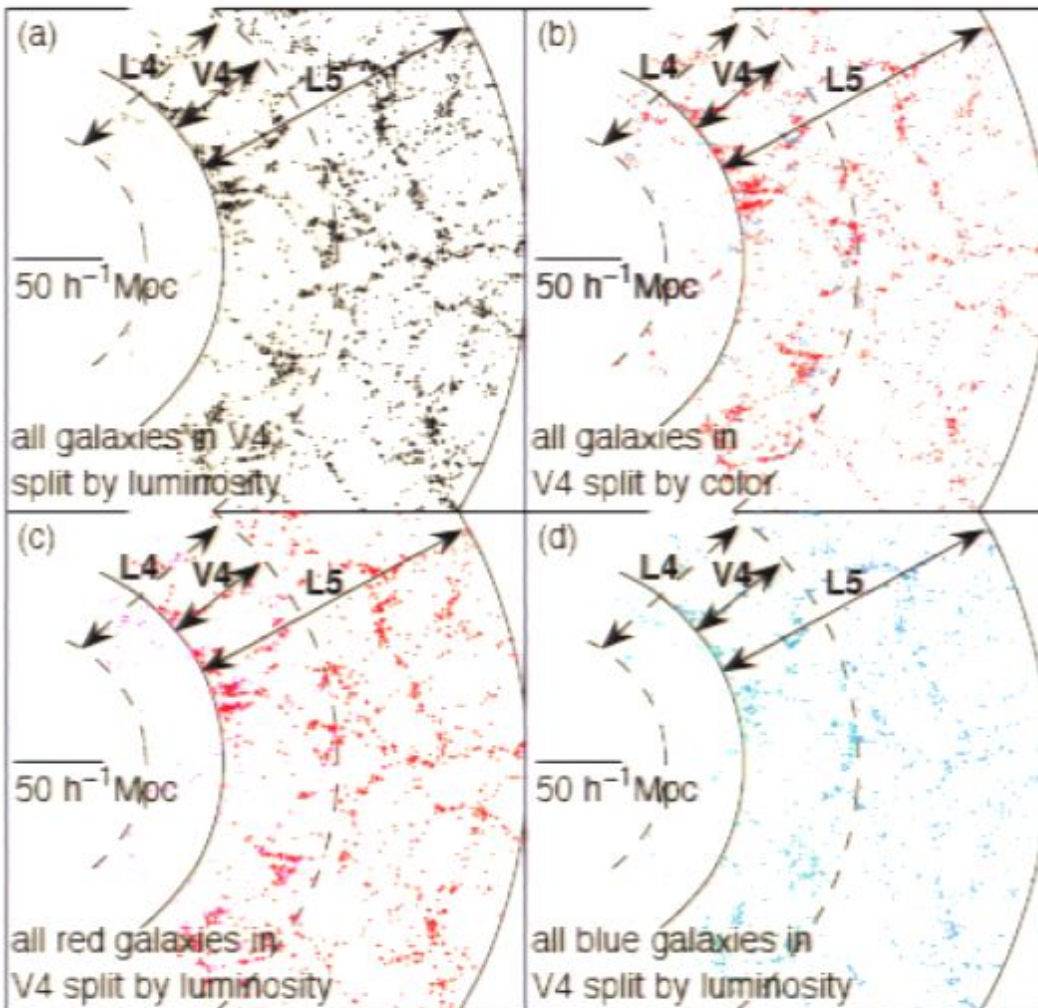
- Make four pairwise comparisons:
 - (a) bright vs. dim
 - (b) red vs. blue
 - (c) bright red vs. dim red

Pairwise comparisons



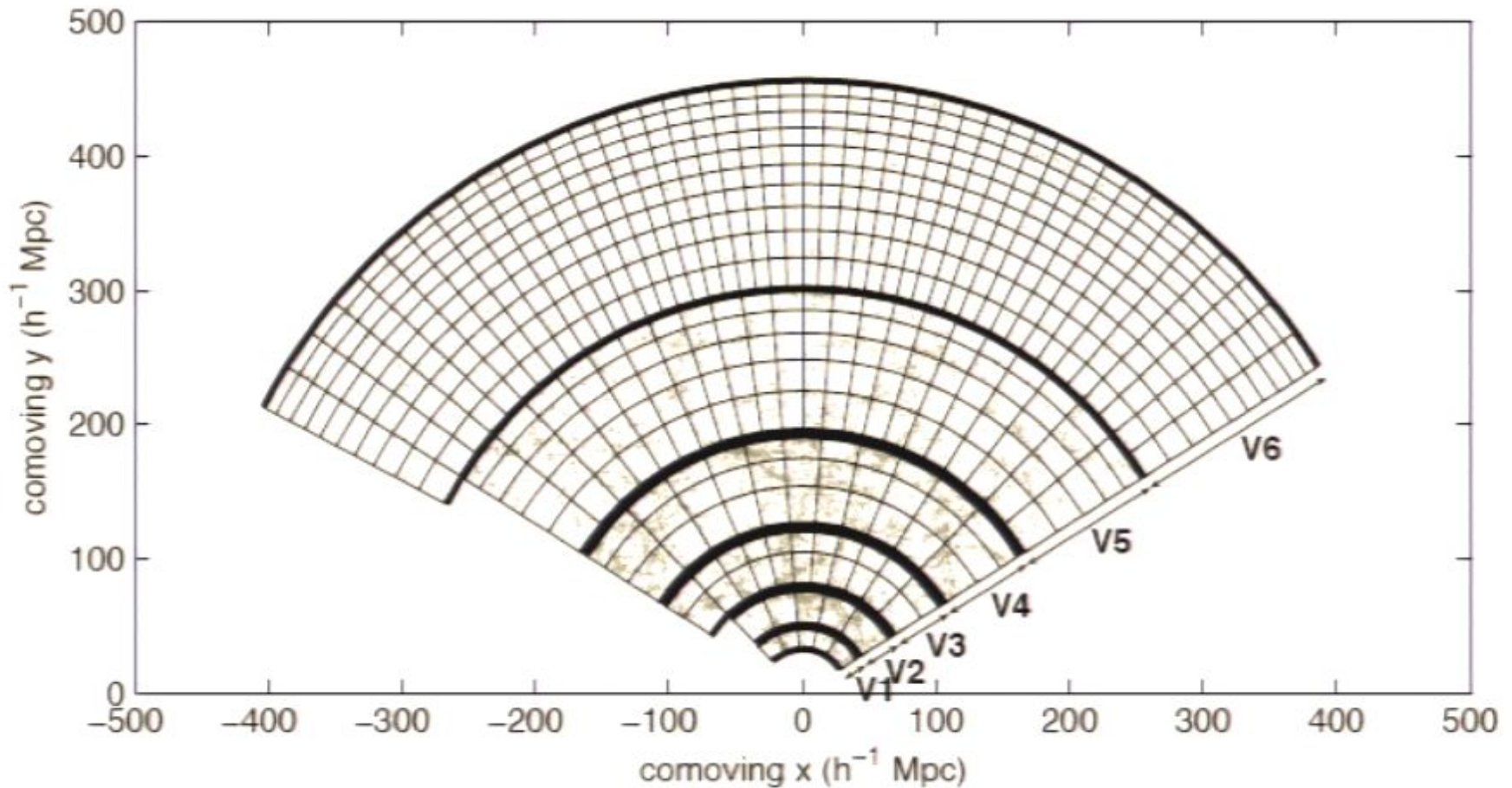
- Make four pairwise comparisons:
 - (a) bright vs. dim
 - (b) red vs. blue
 - (c) bright red vs. dim red
 - (d) bright blue vs. dim blue

Pairwise comparisons



- Make four pairwise comparisons:
 - (a) bright vs. dim
 - (b) red vs. blue
 - (c) bright red vs. dim red
 - (d) bright blue vs. dim blue
- Repeat for each overlapping comparison volume

Counts-in-cells



- Counts of two different types of galaxies in each cell
- Cell sizes of $2 - 164 h^{-1} \text{Mpc}$ probe scale dependence

Analysis methods

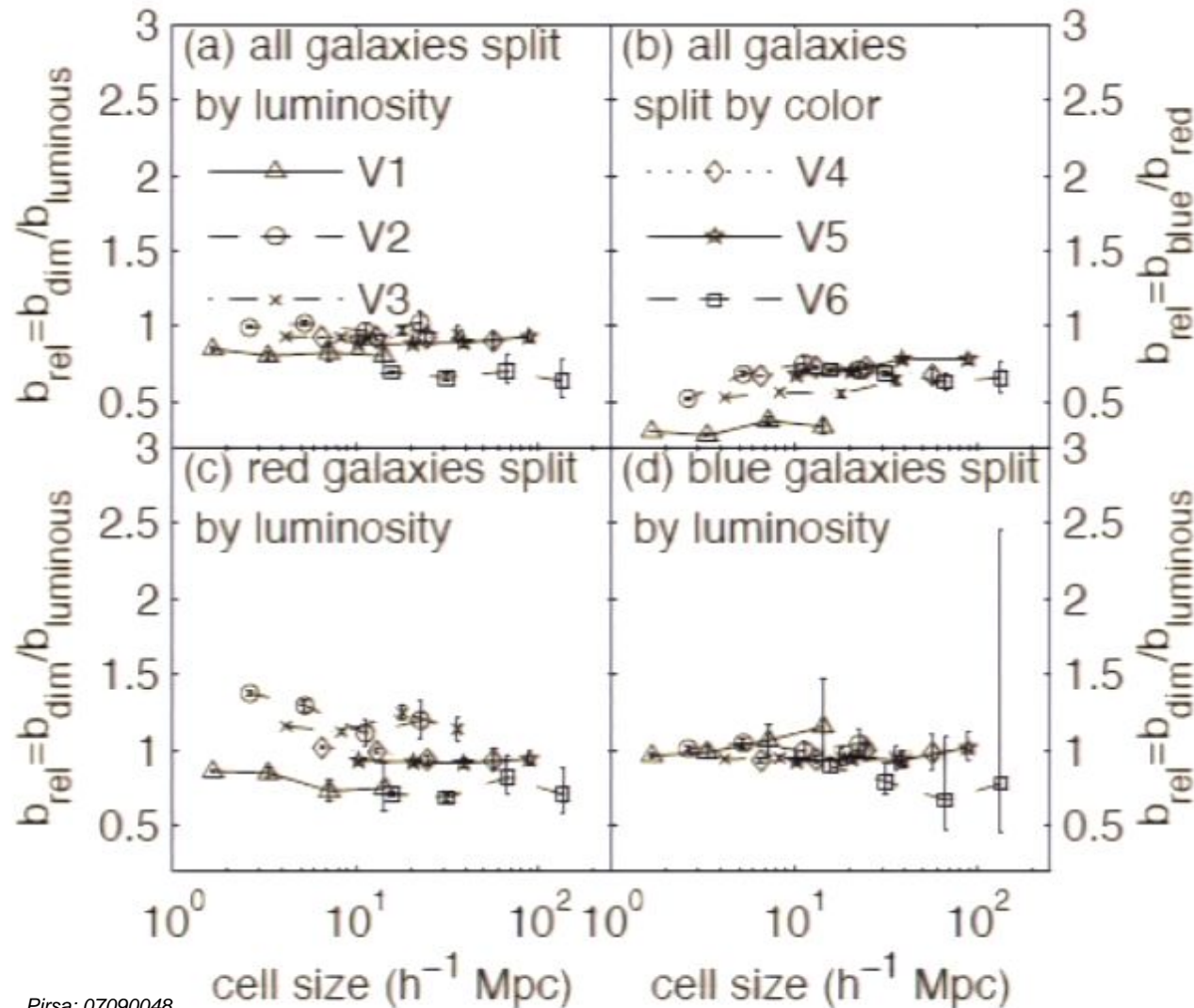
Nullbuster Test

- Generalized χ^2 statistic developed in Tegmark 1999
- Most sensitive test to rule out null hypothesis of deterministic linear bias
- Number of “sigmas” at which null hypothesis is ruled out

Maximum Likelihood Fitting

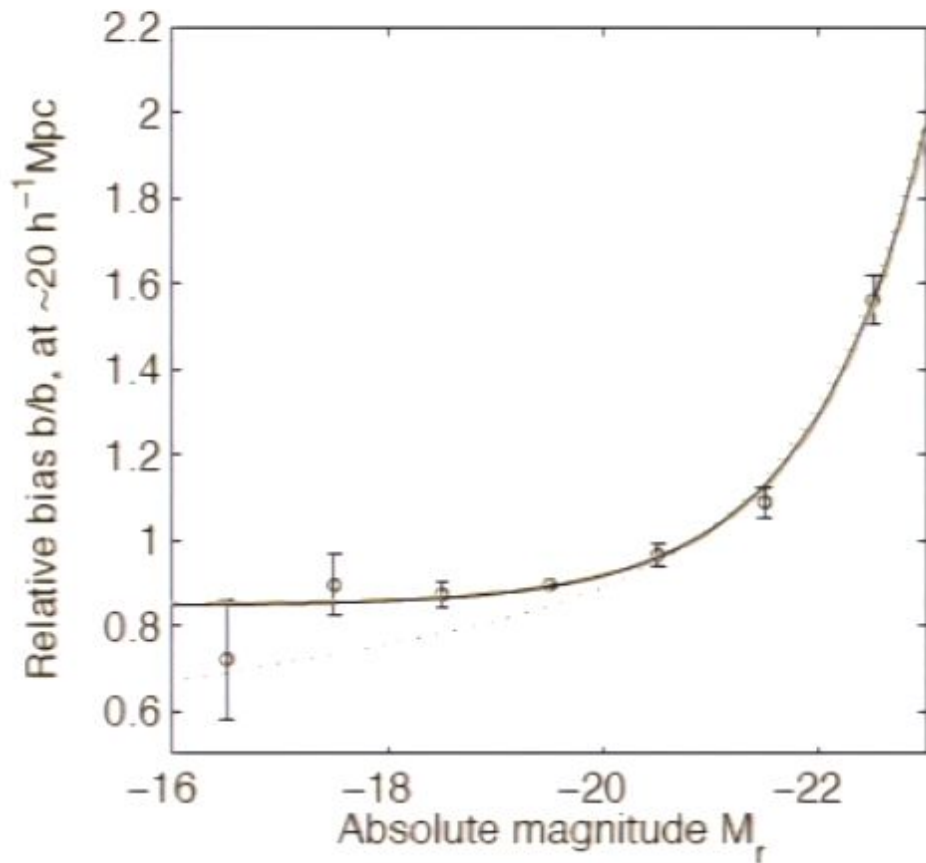
- Measure best-fit values of bias parameters b_{rel} and r_{rel}
- Deterministic linear bias: $r_{\text{rel}} = 1$
- Stochastic bias: $r_{\text{rel}} < 1$

Bias from nullbuster method



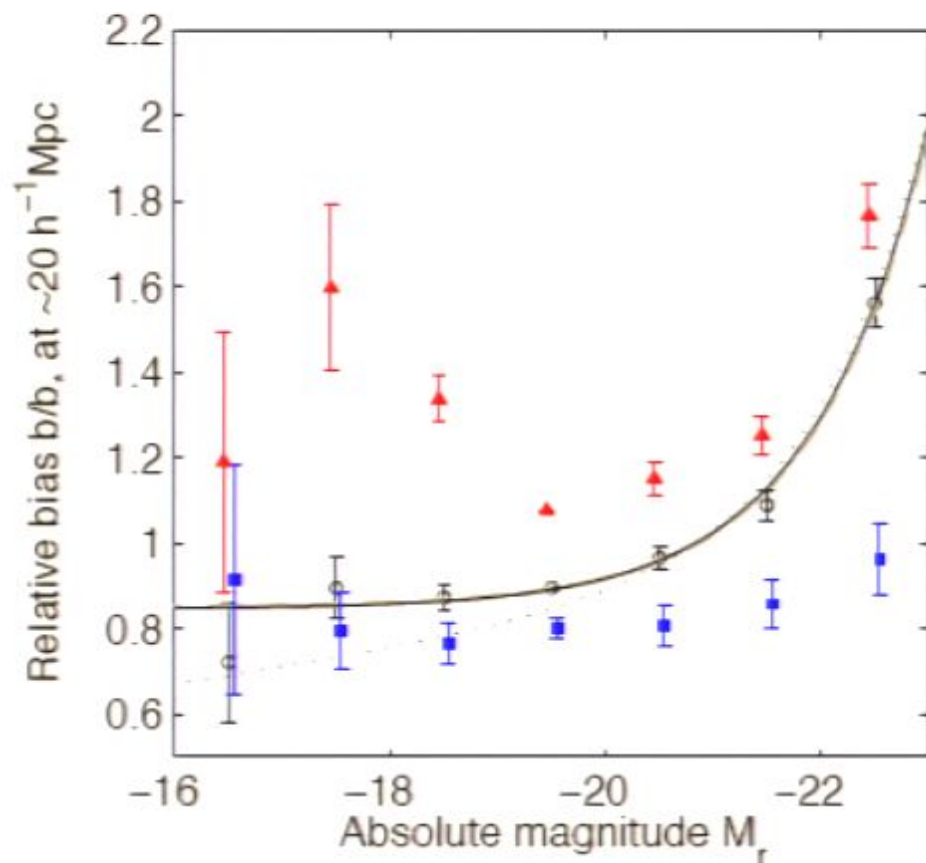
- Relative bias is scale-independent at $\gtrsim 5 h^{-1}$ Mpc
- Can use relative bias between neighboring luminosity bins to calculate bias vs. luminosity

Luminosity-dependent bias



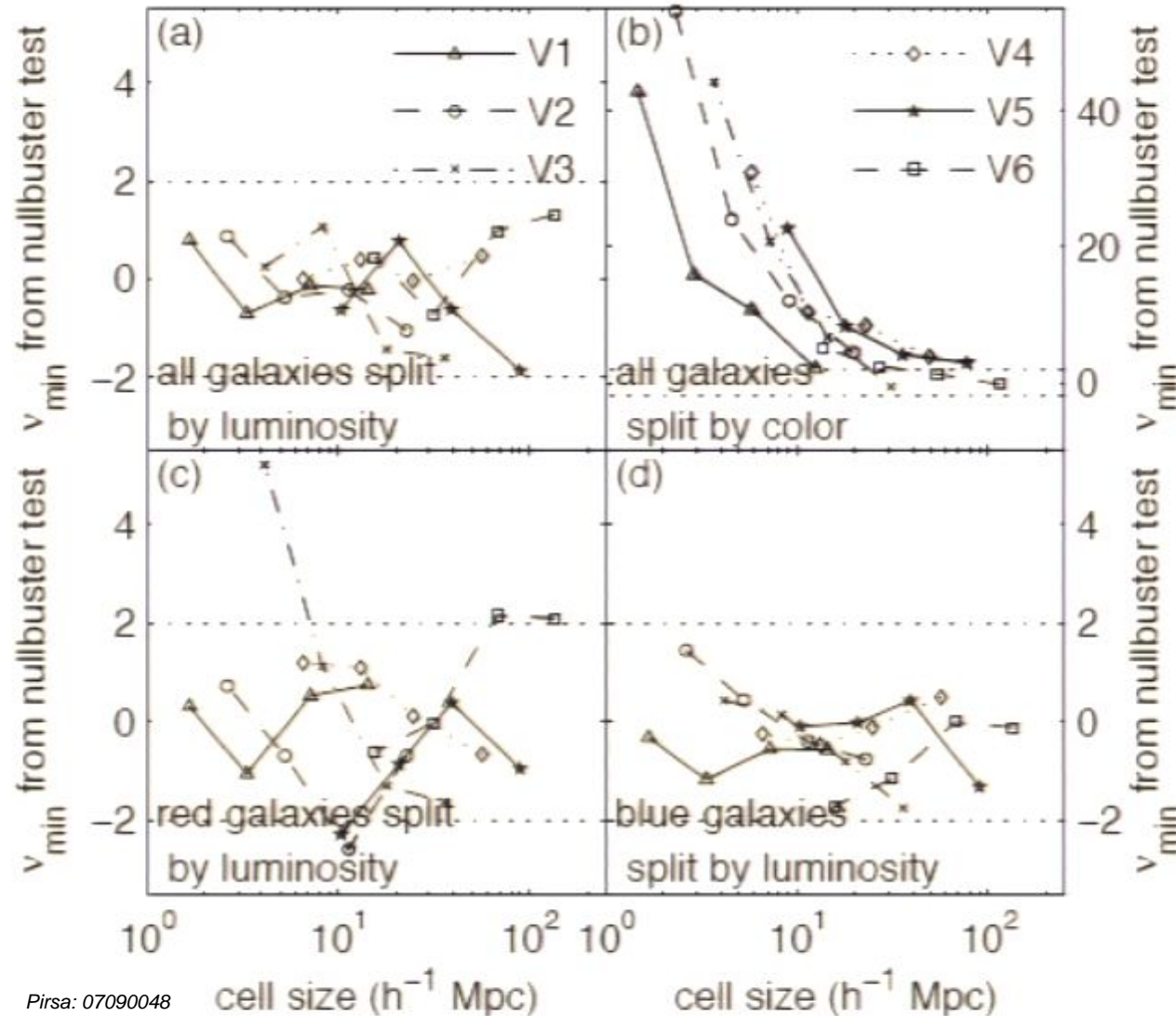
- Black circles: all galaxies
- Solid black line: best fit model for b/b_* vs. magnitude
- Compare to previous fits: Norberg et al. 2001 (dashed), Tegmark et al. 2004 (dotted)
- Agrees with Zehavi et al. 2005

Luminosity-dependent bias



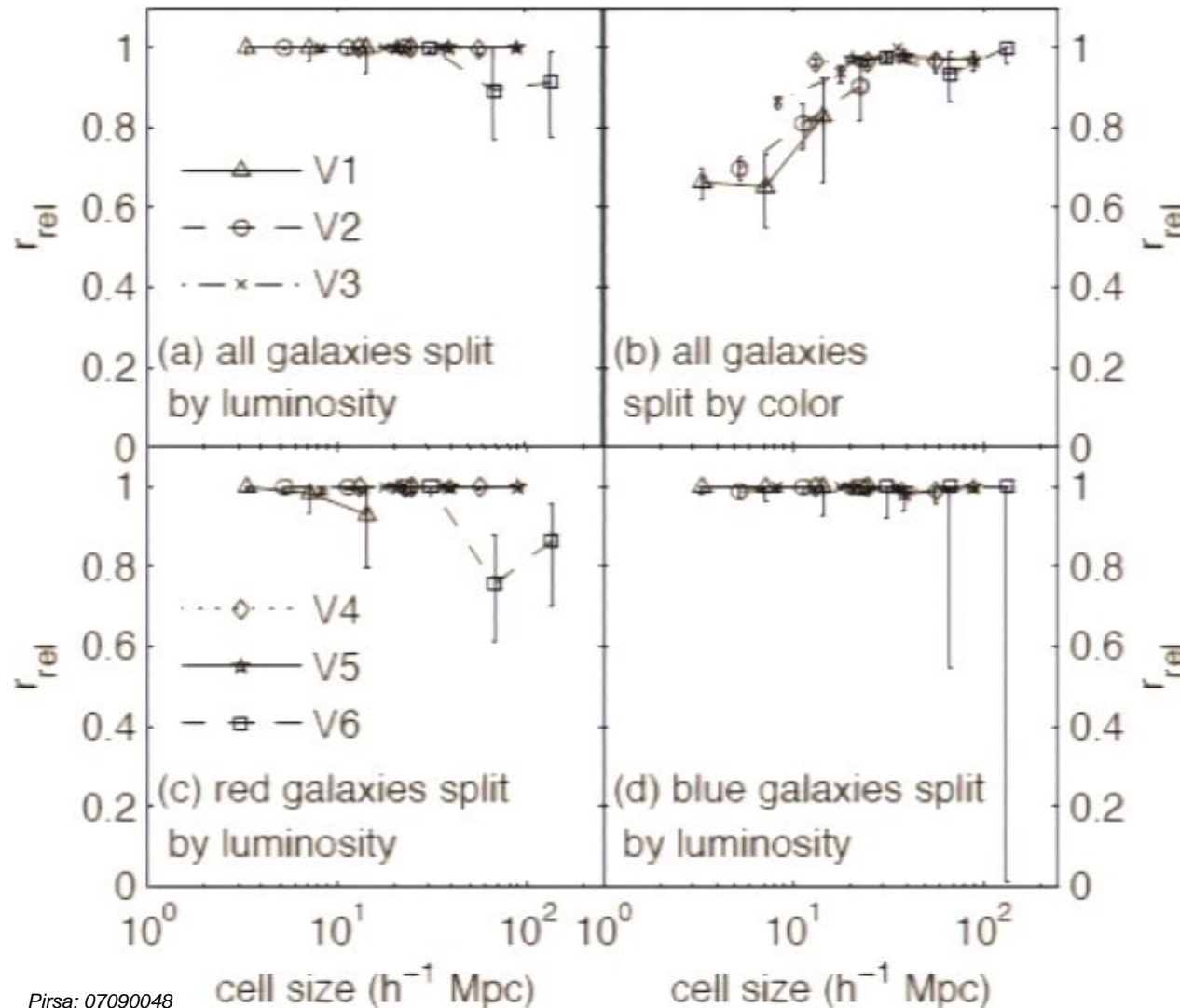
- Black circles: all galaxies
- Solid black line: best fit model for b/b_* vs. magnitude
- Compare to previous fits: Norberg et al. 2001 (dashed), Tegmark et al. 2004 (dotted)
- Agrees with Zehavi et al. 2005
- Red galaxies: L_* galaxies are the least clustered
- Blue galaxies: no strong luminosity dependence
- Faint red galaxies are mostly satellites in high-mass halos

Nullbuster results



- Luminosity-dependent bias *consistent* with deterministic linear bias
- But *ruled out* quite strongly in color-dependent case!
- Red and blue galaxies sample different regions of the universe

Stochasticity from likelihood method



- Luminosity-dependent bias consistent with $r_{rel} = 1$
- Color-dependent bias has $r_{rel} < 1$, especially at smaller scales
- Agrees with nullbuster results
- Agrees with Wild et al. 2005, Wang et al. 2007

Summary of results

Conclusions

- Relative bias factor b_{rel} not strongly scale dependent down to $\sim 5 h^{-1}\text{Mpc}$ (\sim size of big galaxy cluster)
- Luminosity-dependent bias depends strongly on color:
 - Blue galaxies show little luminosity dependence
 - Bright and dim red galaxies more biased than L_* galaxies
- Deterministic linear bias model:
 - OK for luminosity-dependent bias
 - Ruled out for color-dependent bias, esp. at $\lesssim 20 h^{-1}\text{Mpc}$ (\sim distance between clusters)

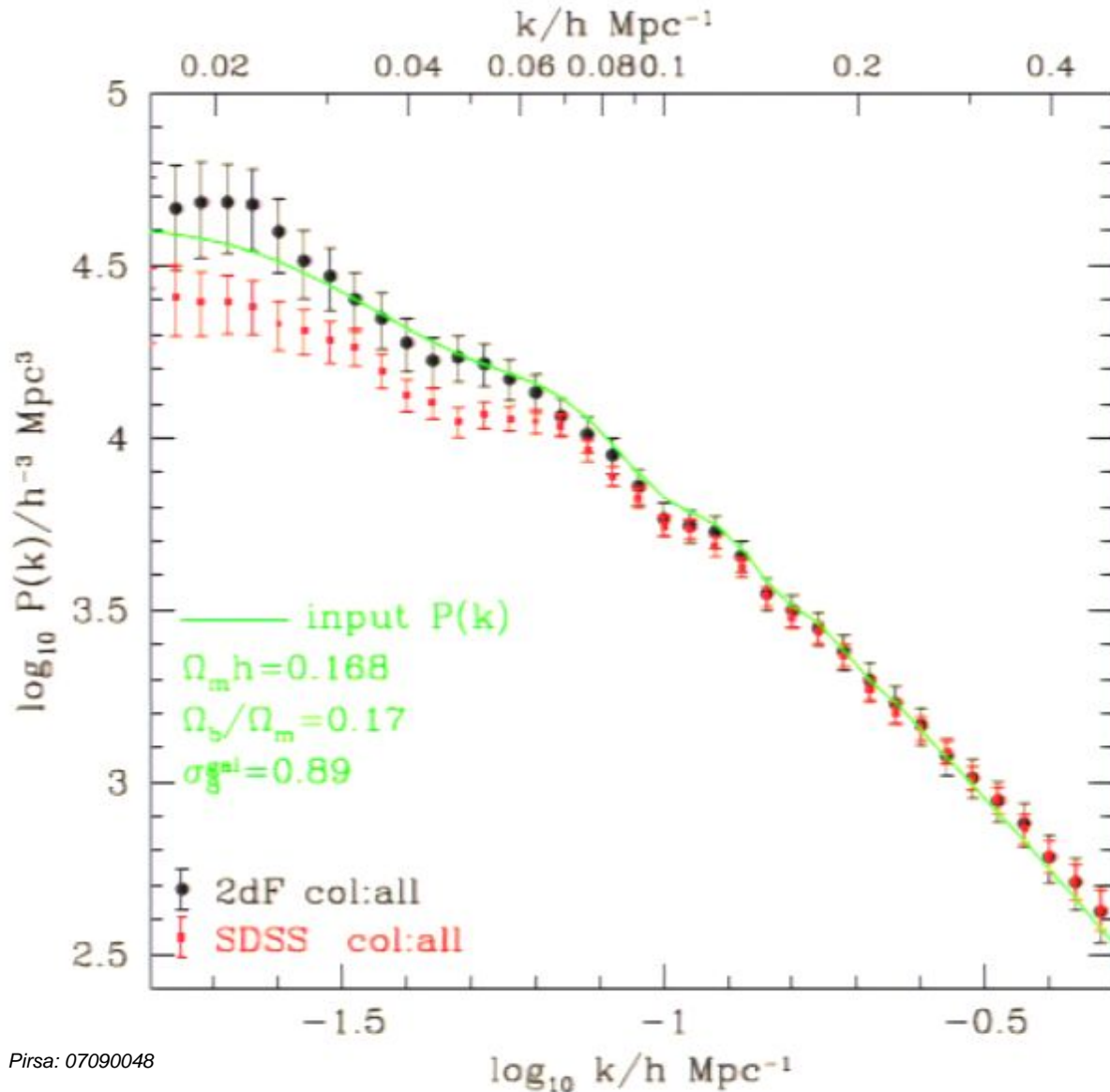
Power Spectra from 2dF and SDSS

How much does this complex biasing impact cosmology?

Example: recent paper by Ariel Sanchez and Shaun Cole (arXiv:0708.1517)

- Calculate power spectrum using same method for 2dF and SDSS
- Do they agree with each other?
- Do they predict different values for cosmological parameters?
- If so, how can we reconcile them?

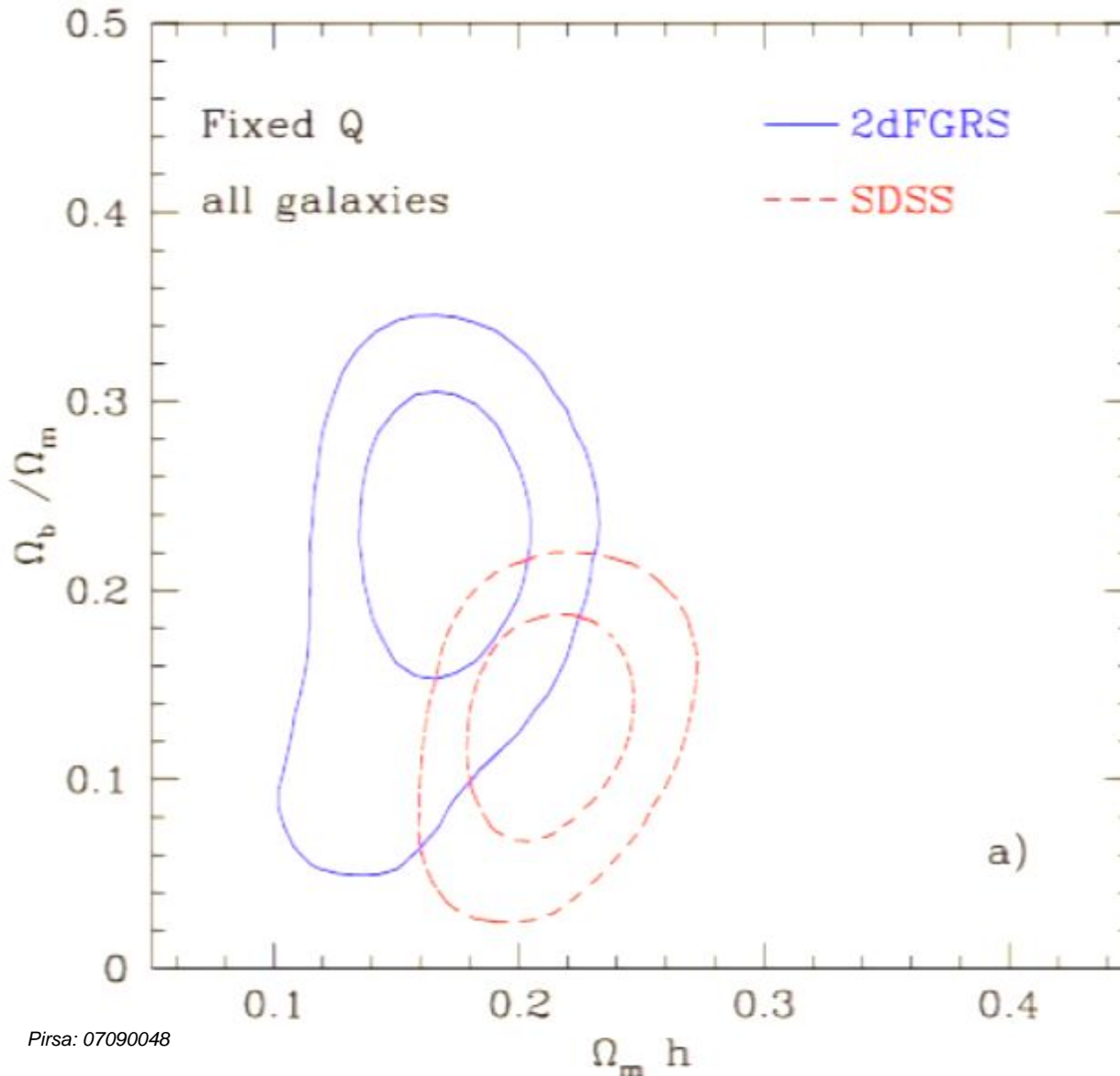
Do they agree?



Not quite!

- SDSS has slightly less power on large scales
- But bias factors were normalized at $k = 0.1 h \text{ Mpc}$
- So equivalently, SDSS has more power on small scales

Impact on cosmology



1-sigma contours don't quite overlap in $\Omega_b / \Omega_m - \Omega_m h$ plane

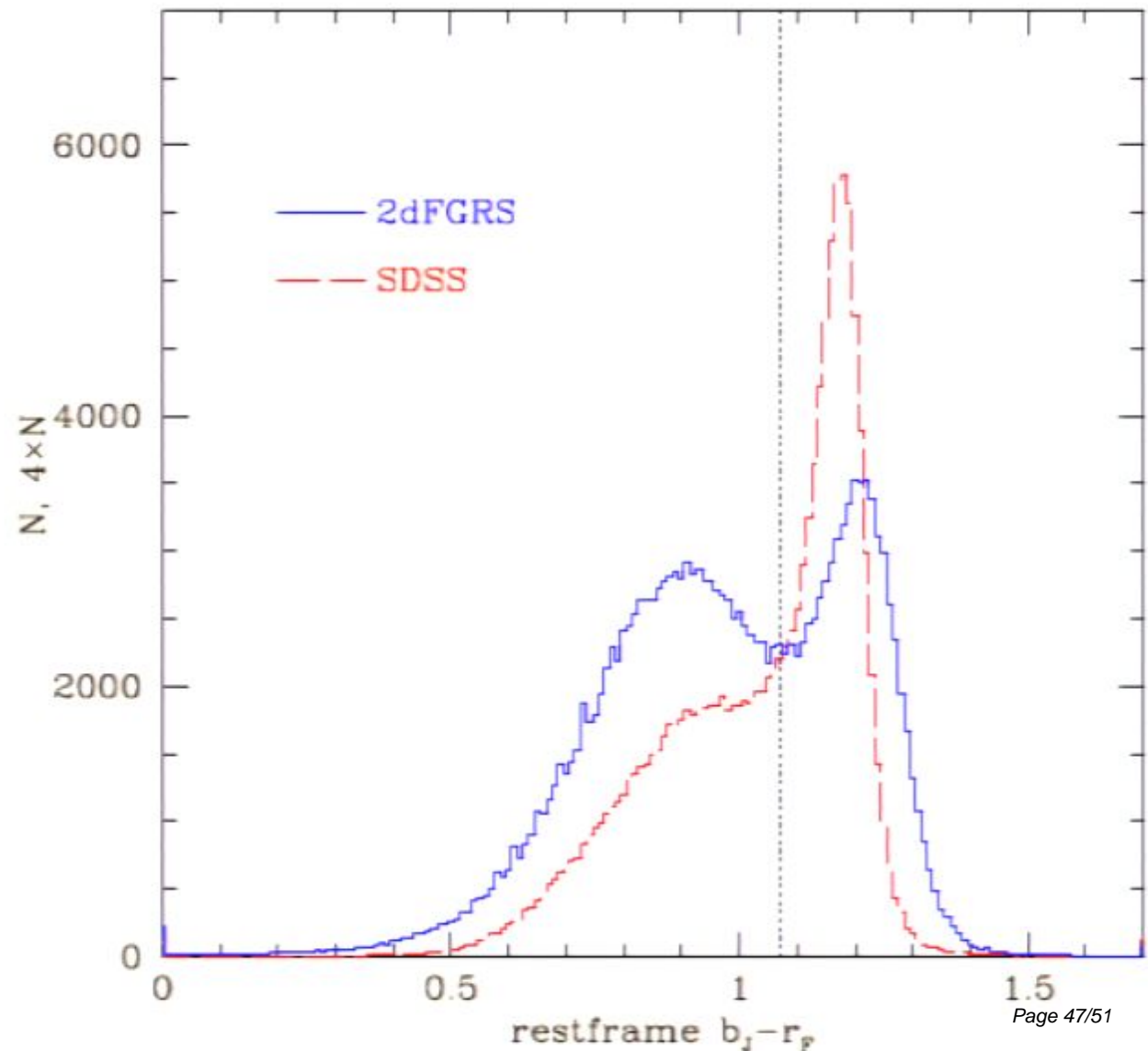
To tighten parameter constraints further with Pan-STARRS, DES, LSST, etc., we want to understand why!

What causes the problem?

- Different analysis techniques?
- Large cosmic variance?
- Different color selection?

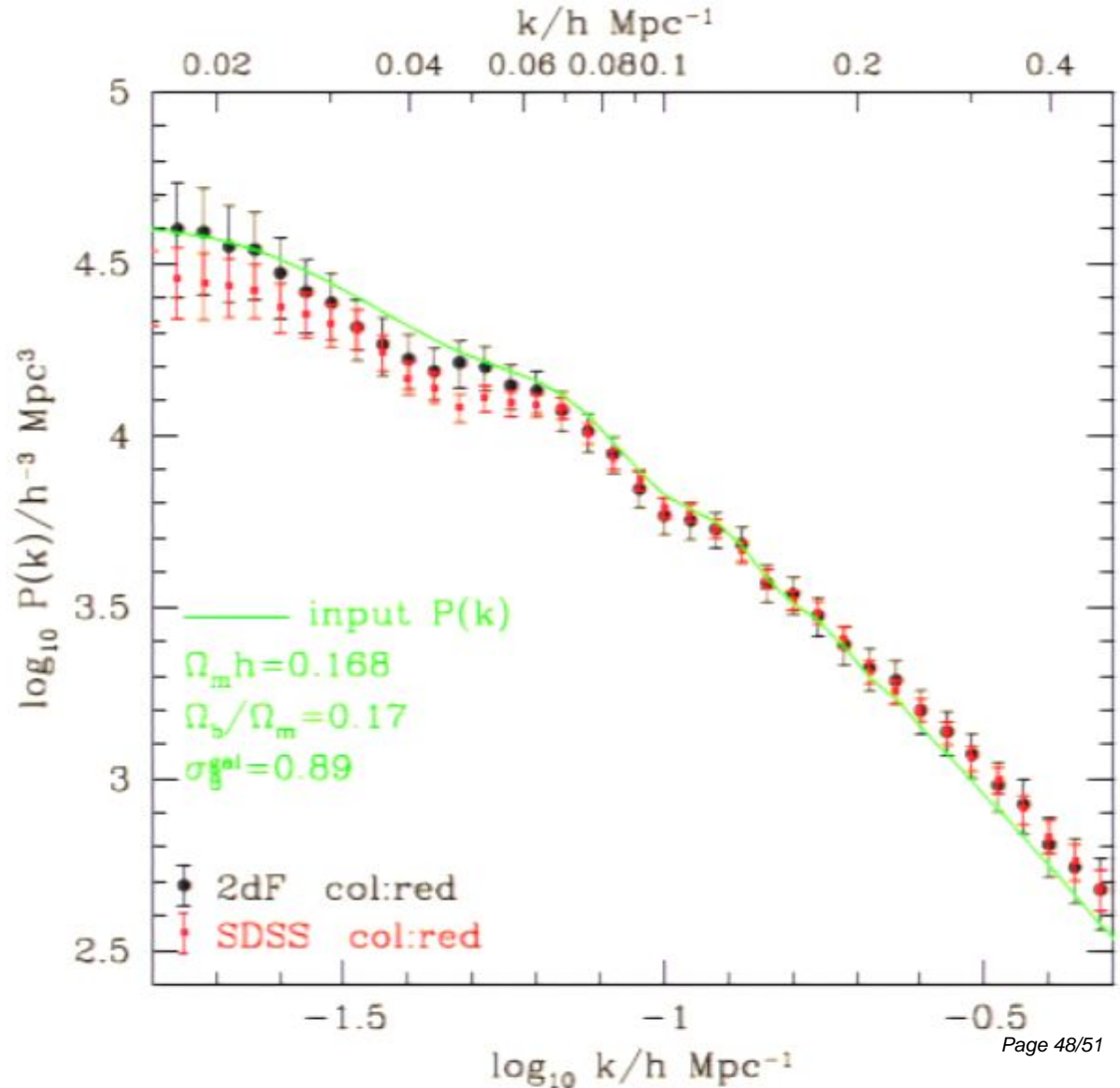
What causes the problem?

- Different analysis techniques? **No!**
- Large cosmic variance? **No!**
- Different color selection?



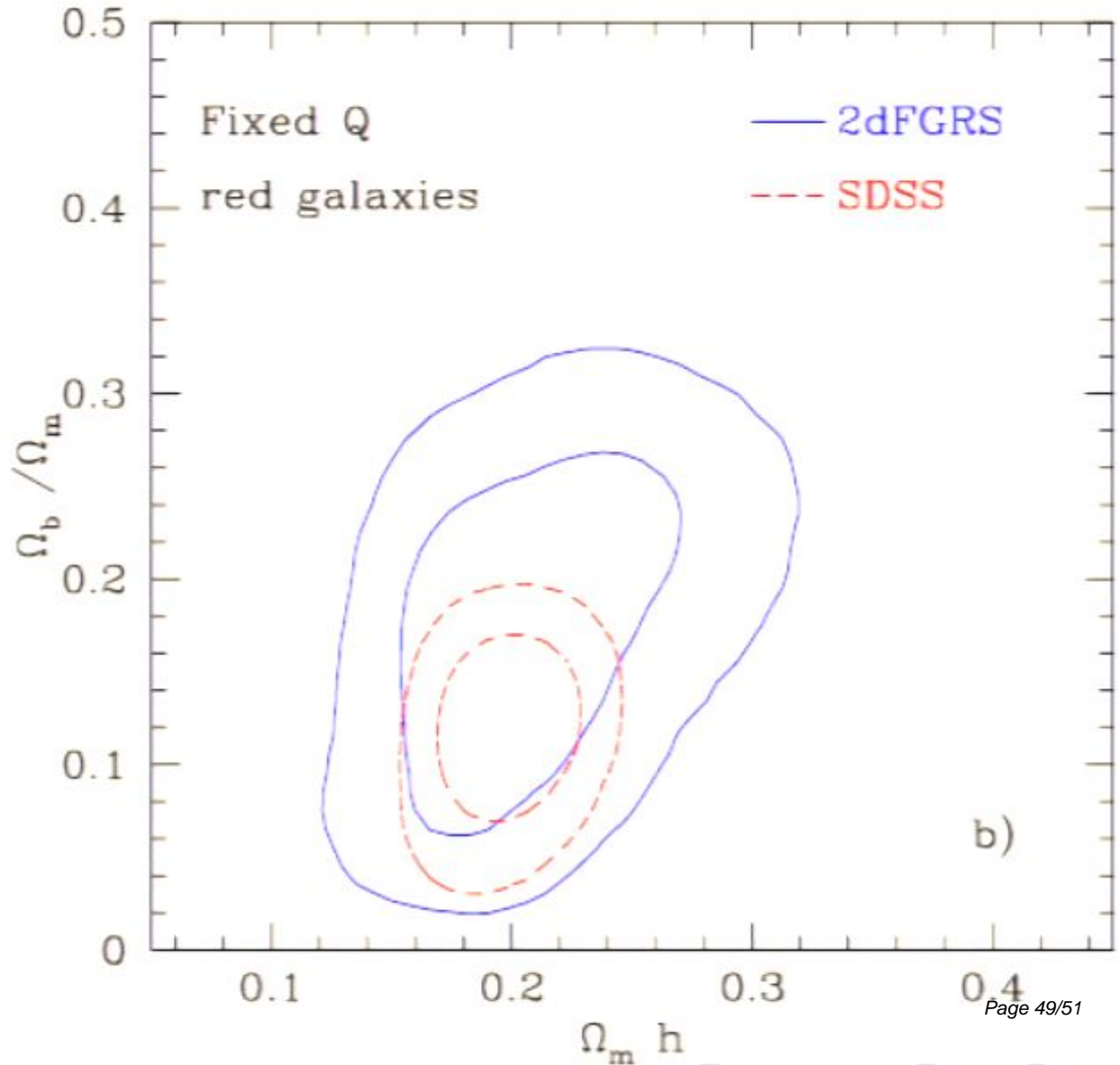
What causes the problem?

- Different analysis techniques? **No!**
- Large cosmic variance? **No!**
- Different color selection? **Yes!**



What causes the problem?

- Different analysis techniques? **No!**
- Large cosmic variance? **No!**
- Different color selection? **Yes!**



How to fix it?

Use empirical parameterization (from Cole et al. 2005) for nonlinearities and bias:

$$P_{\text{gal}}(k) = b^2 \frac{1 + Qk^2}{1 + Ak} P_{\text{lin}}(k)$$

Allow free parameter Q to vary

Cannot reconcile 2dF and SDSS (but works for SDSS LRGs!)

Work in progress: develop a halo-model based parameterization for complex bias

Want it to:

- Match relative bias observations in SDSS
- Explain differences between SDSS and 2dF
- Improve parameter constraints with future surveys

How much can we trust the galaxies?

- Luminosity-dependent bias is pretty trustworthy
 - Can be modeled with simplest model
 - Straightforward correction for flux-limited surveys
 - But need to be aware of color dependence
- Color-dependent bias is a little more sketchy
 - Stochasticity implies that red and blue galaxies occupy different regions of the universe
 - Still OK for large scales in linear clustering regime
 $\gtrsim 60 h^{-1} \text{Mpc}$ for SDSS LRGs (Tegmark et al. 2006)
 - But causes disagreement between SDSS and 2dF
 - Next-generation surveys will need to account for this!

For more details: Swanson et al. 2007, [astro-ph/0702584](https://arxiv.org/abs/astro-ph/0702584)