

Title: Probing cosmic inflation: WMAP and beyond

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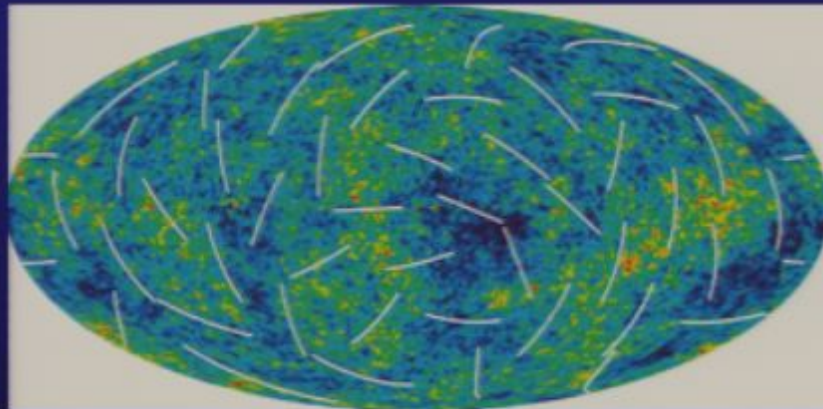
URL: <http://pirsa.org/07020009>

Abstract: Current measurements from WMAP and other cosmological probes are consistent with a simple inflationary model. Such models predict a background of gravitational waves which may soon be observable in the polarized component of the Cosmic Microwave Background. However, WMAP has observed significant levels of polarized radiation from our galaxy, due to both synchrotron radiation and thermal dust emission.

A better understanding of this radiation will be vital if we are to correctly remove it and confidently detect an inflationary signal.

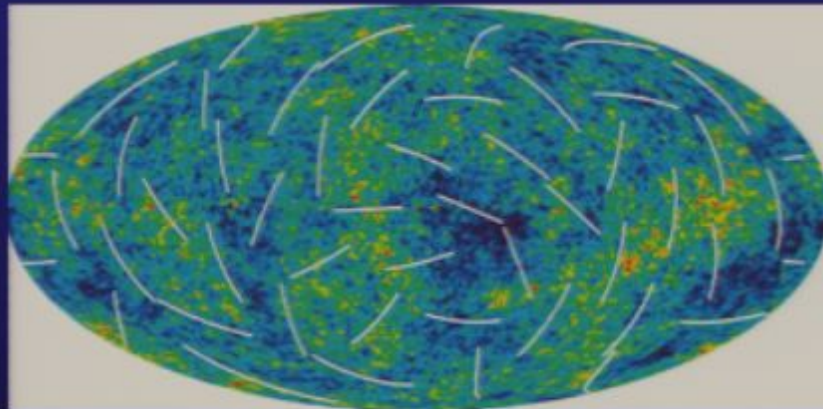
As well as discussing the observational case for inflation, I will review the physical origins of the polarized galactic emission, present a simple model for the galactic magnetic field, and discuss current and future directions for improving upon our galactic models.

# Probing cosmic inflation: WMAP and beyond



Joanna Dunkley (Princeton University)  
WMAP science team

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# WMAP science team

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# Inflation

*Inflationary paradigm - an extension of the standard big bang model*

- o Effective field theory, posits that the universe underwent a period of exponential expansion driven by the potential of an inflaton field.
- o Expansion lasted for  $> 60$  e-folds.
- o Stretches tiny volume to a region much larger than the observed universe.
  - Developed to address flatness, horizon and monopole problem
  - Also provides mechanism for seeding cosmic structure

# Inflationary Triumphs

- Nearly Scale Invariant Fluctuations (COBE)
- Flat (TOCO, Boomerang, ..., WMAP)
- Adiabatic (Boomerang, CBI, ..., WMAP I)
- Superhorizon Fluctuations (WMAP I)
- Gaussian (WMAP I, WMAP II)
- $n < 1$  ( $\sim$ WMAP II)
- **\*\*Gravitational Waves\*\*** (TBD)

# Inflation predicts gravitational waves

## Slowly rolling single field

- Quantum fluctuations of inflaton field inside horizon
- Imprints scalar and tensor perturbations
- Tensor perturbations propagate as waves, uncoupled to density
- *Ratio  $r$  tells us energy scale of inflation*

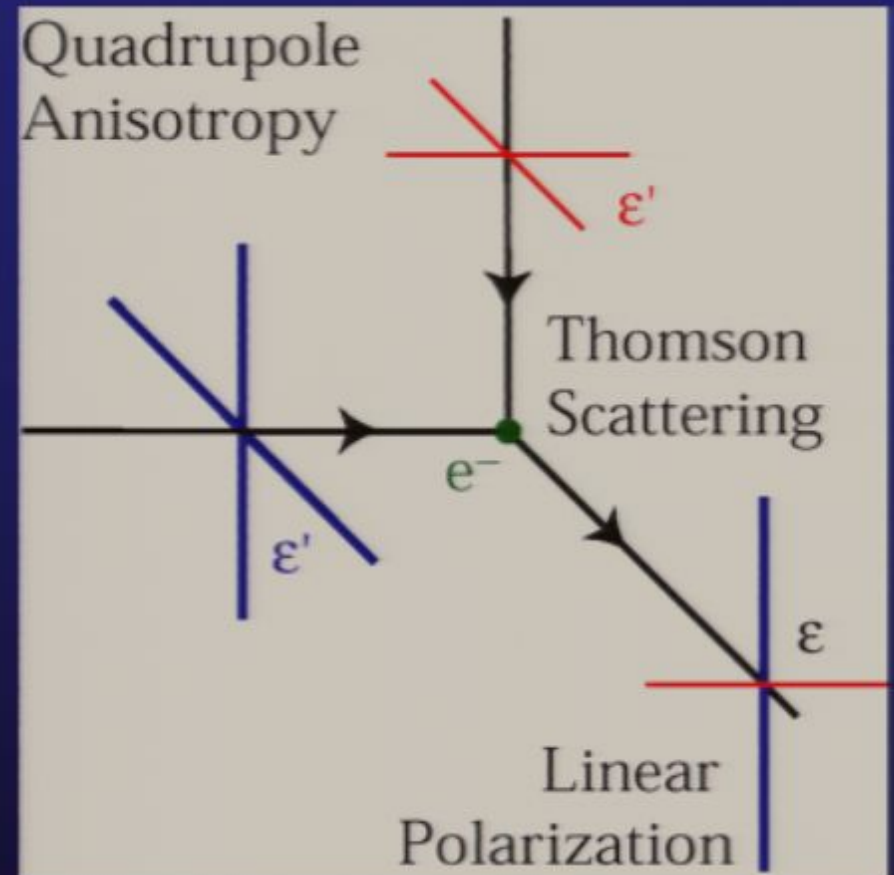
$$r(k) \equiv \Delta^2_T(k) / \Delta^2_S(k) = 16\varepsilon_*$$

$$\varepsilon_* = \frac{M_{Pl}^2}{2} \left( \frac{V'(\phi)}{V(\phi)} \right)^2$$

e.g. If  $V(\phi) \sim \phi^2$ ,  $N = 60 \Rightarrow r = 0.13$

# How do we detect gravitational waves?

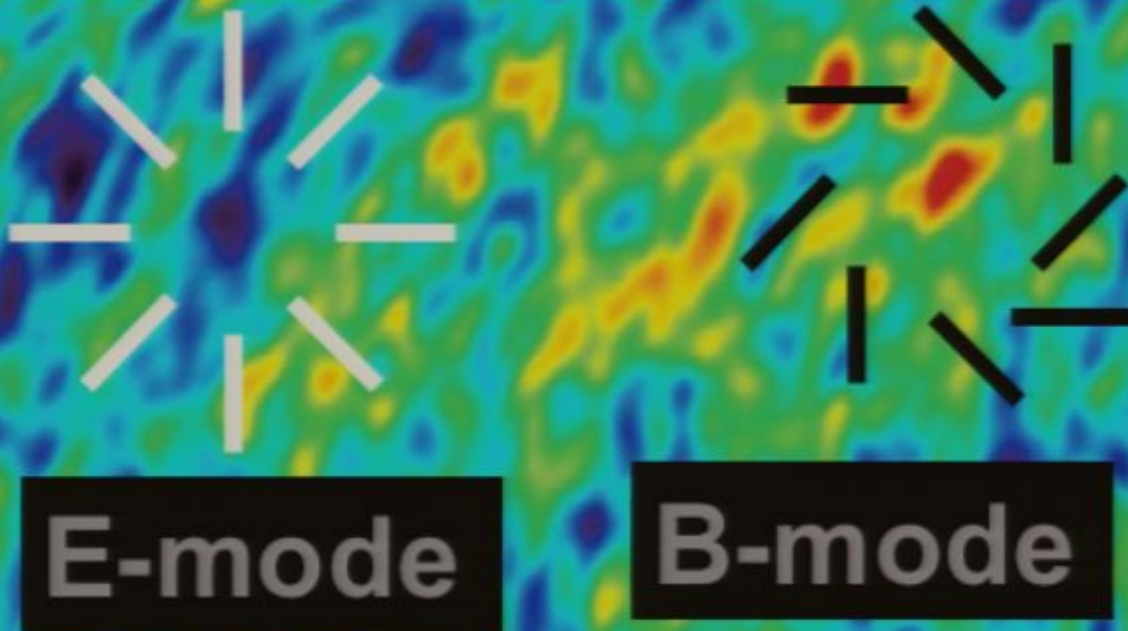
- o Polarization of the Cosmic Microwave Background
- o Thomson scattering generates polarization, if...
  - Temperature **quadrupole** exists around an electron
- o Generated at recombination by
  1. shear viscosity of photon-baryon fluid
  - 2. gravitational waves**





# Polarized E and B modes

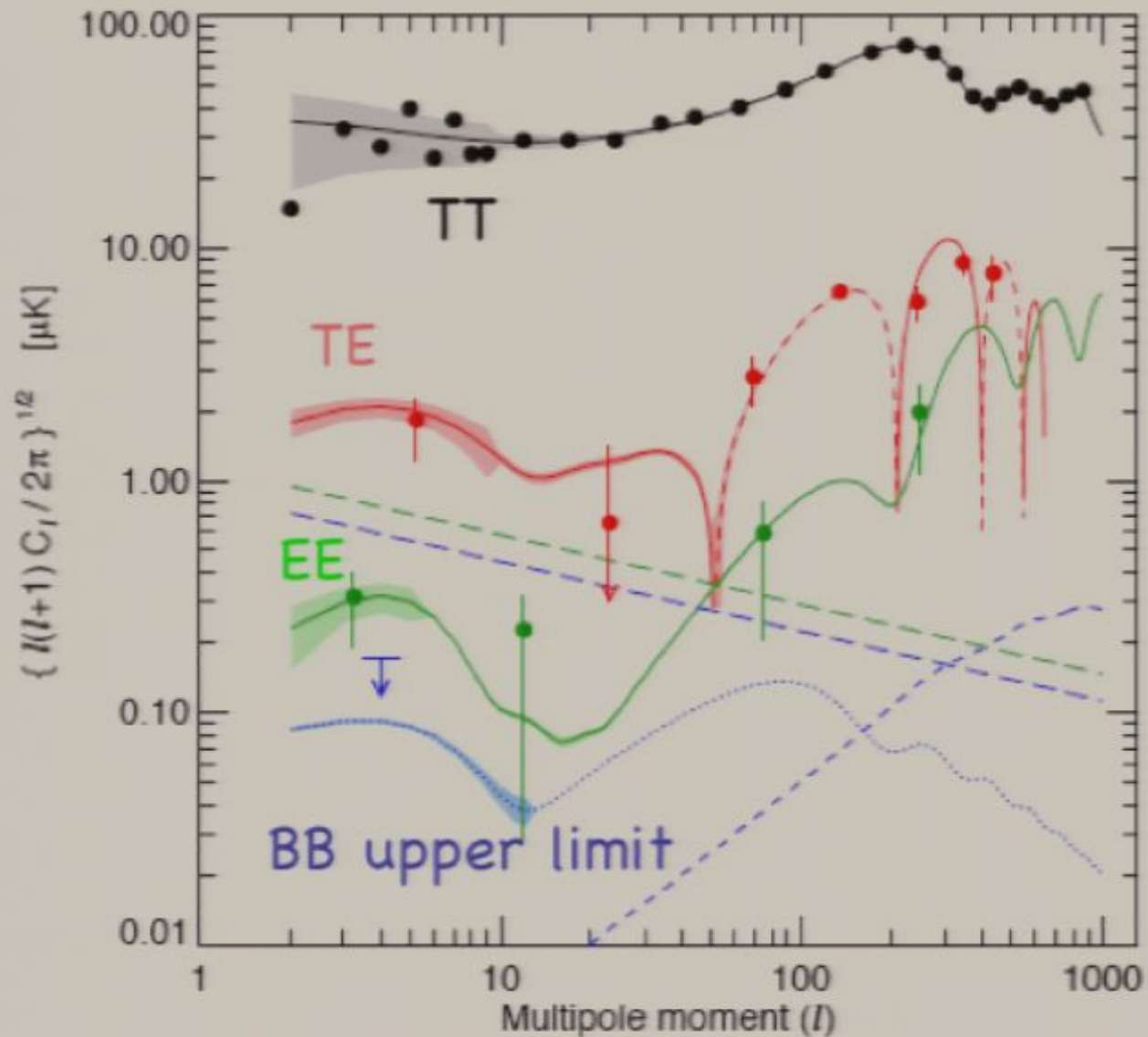
- o Measure polarization with Q and U Stokes vectors
- o Can decompose into a divergence-like "E-mode" and a vorticity-like "B-mode".
- o Scalar perturbations are curl-free, so produce no B-modes
  - So... B-mode detection = grav waves = inflation



$$\Theta(\hat{n}) = \sum_l \sum_{m=-l}^l a^T_{lm} Y_{lm}(\hat{n})$$

$$(Q \pm iU)(\hat{n}) = \sum_l \sum_{m=-l}^l (a^E_{lm} \pm ia^B_{lm})_{\pm 2} Y_{lm}(\hat{n})$$

# WMAP 3yr measurements

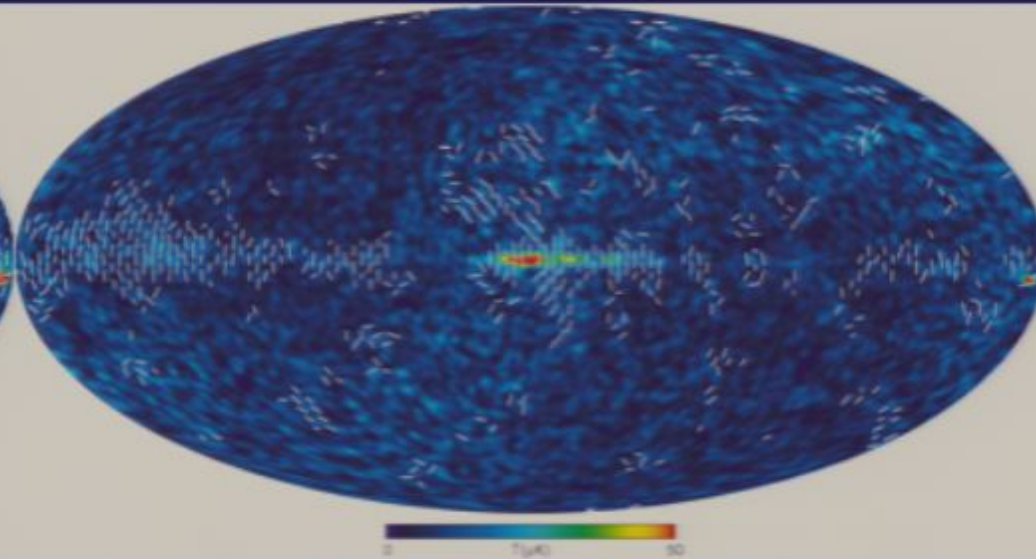
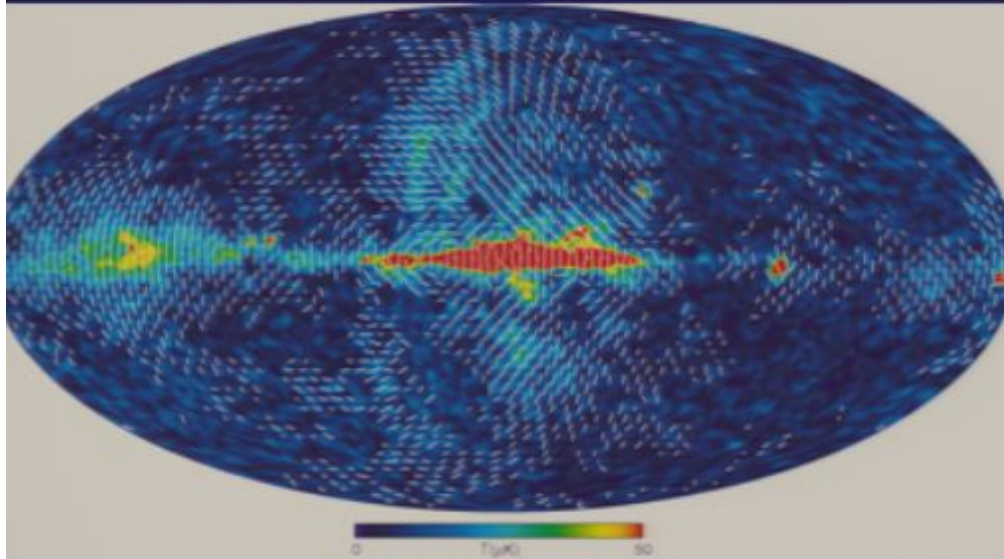
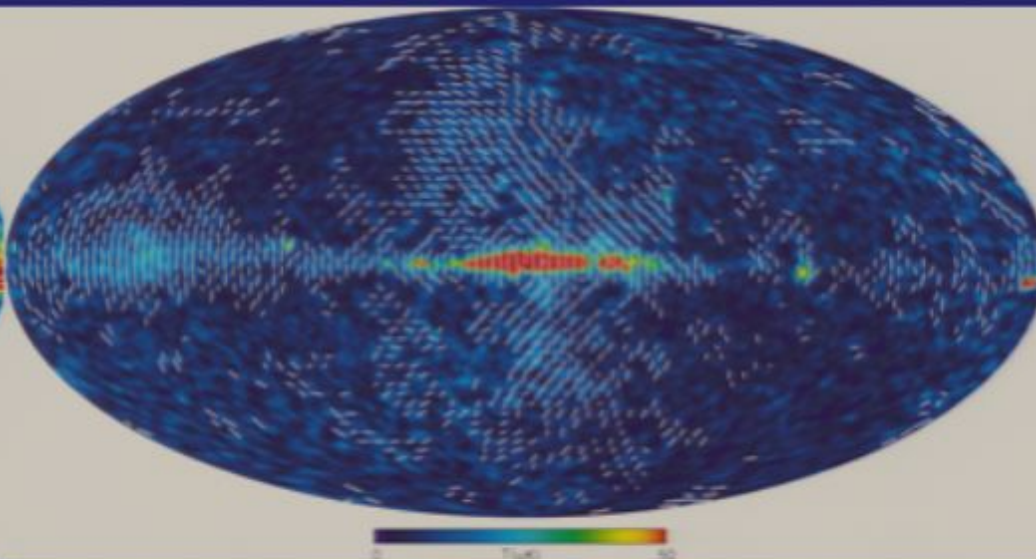
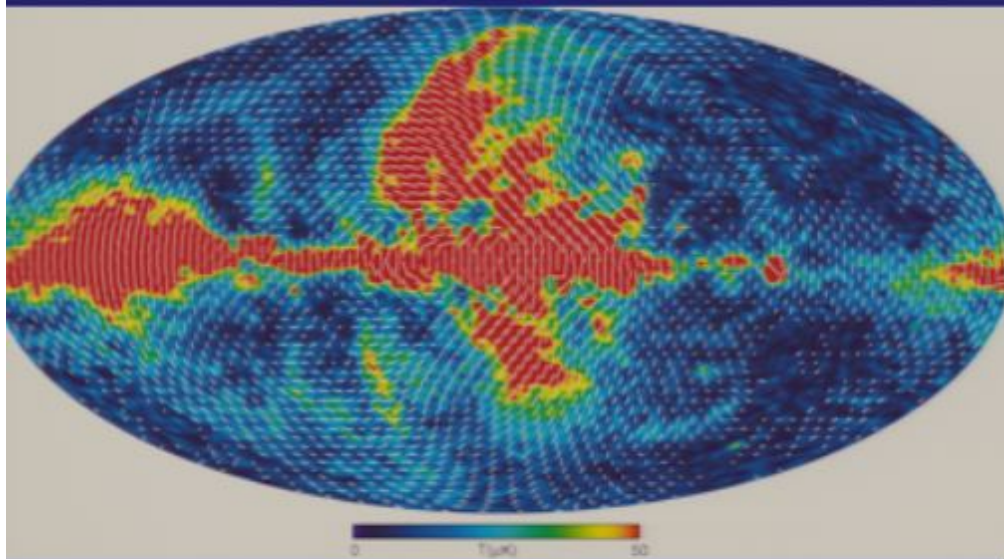


Now for the real data...



K Band (23 GHz)

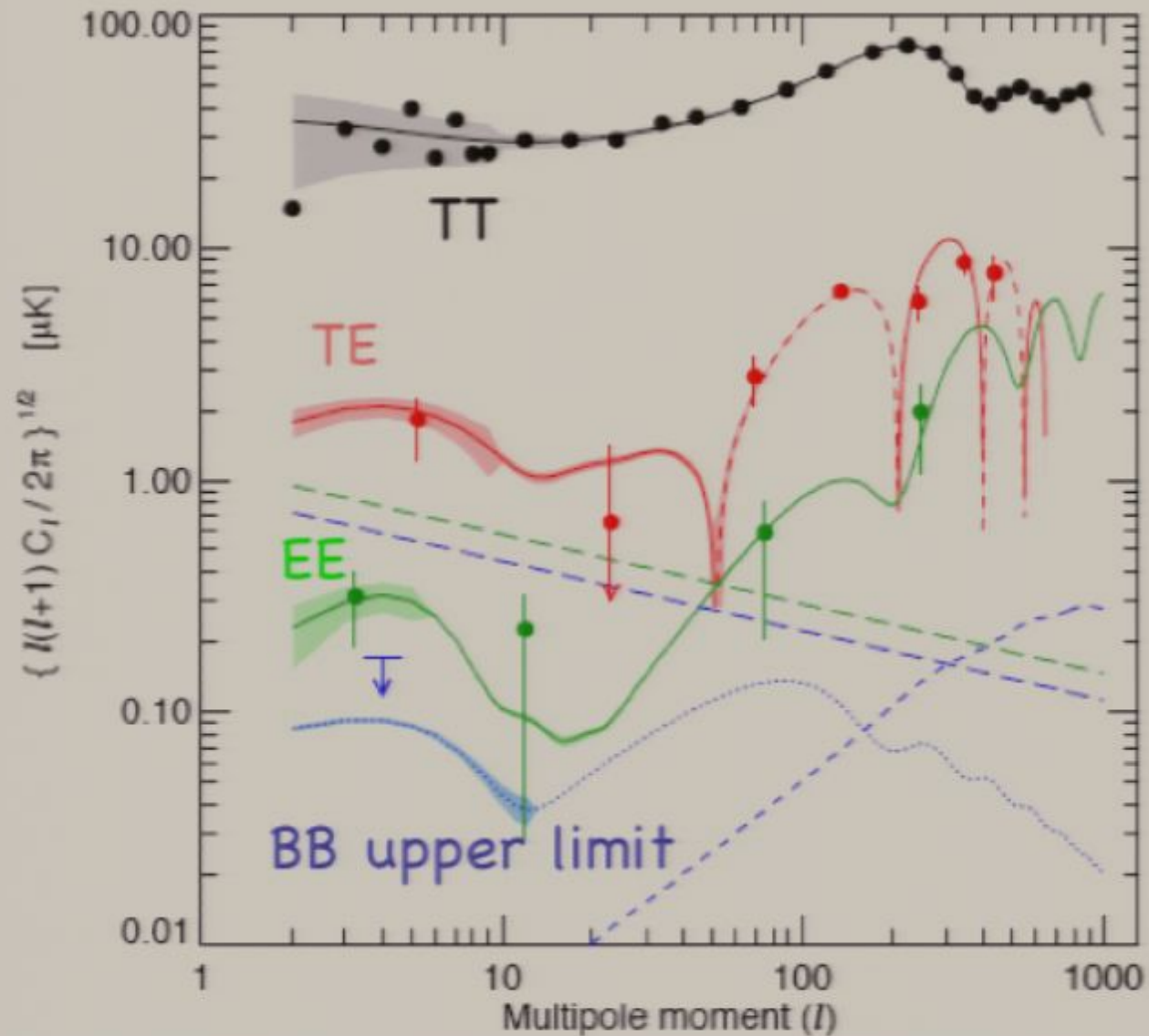
Q Band (41 GHz)



Ka Band (33 GHz)

V Band (61 GHz)

# WMAP 3yr measurements

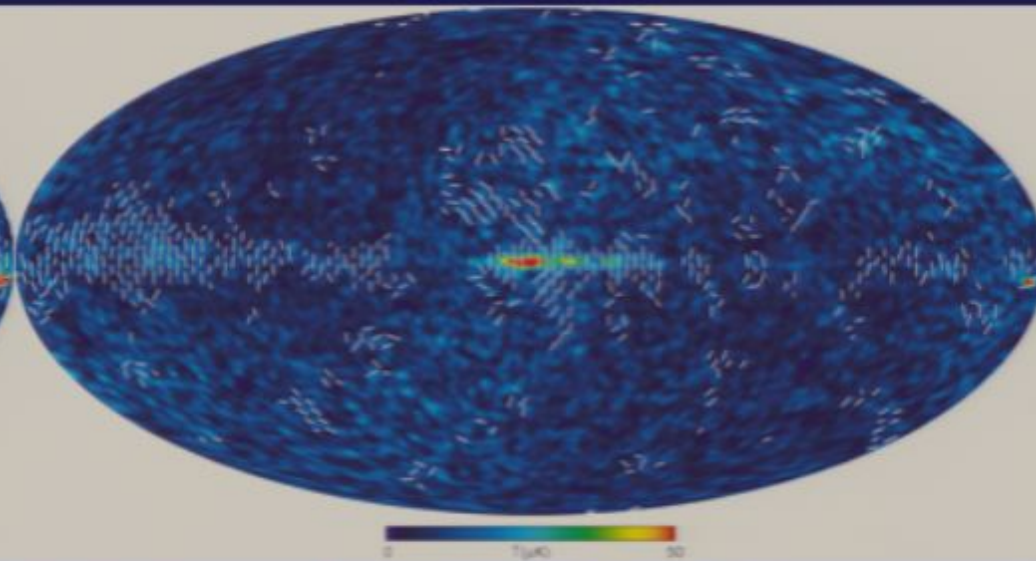
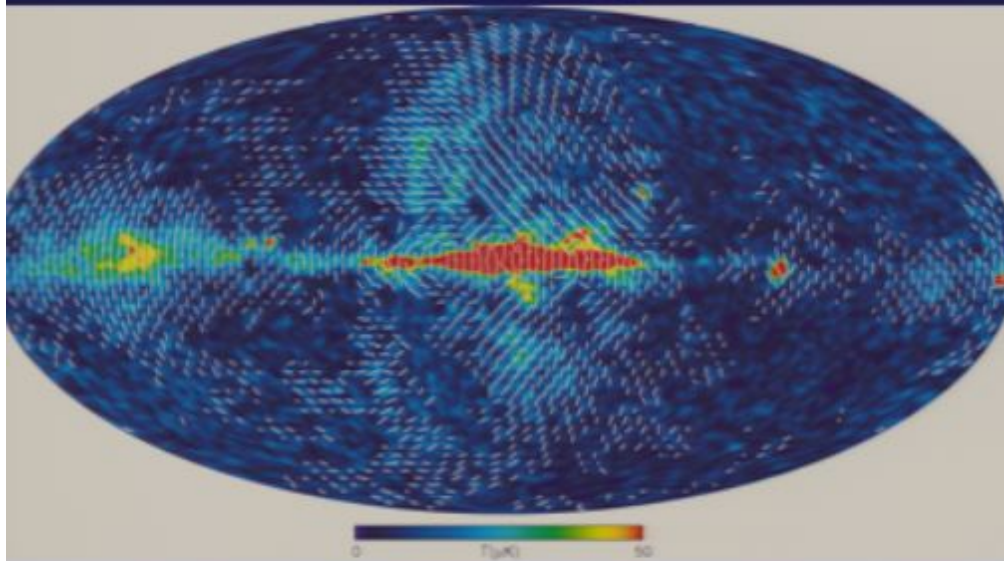
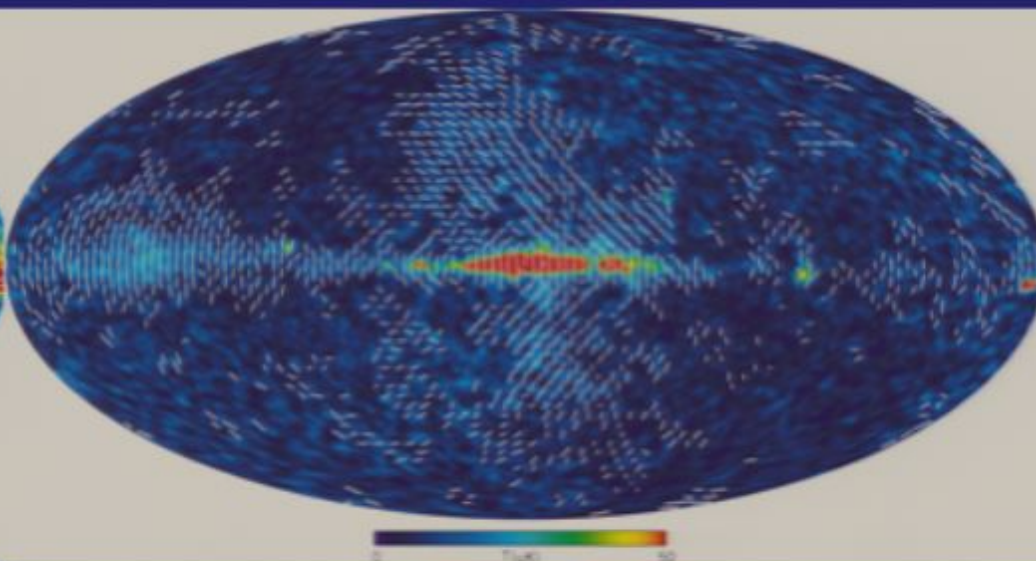
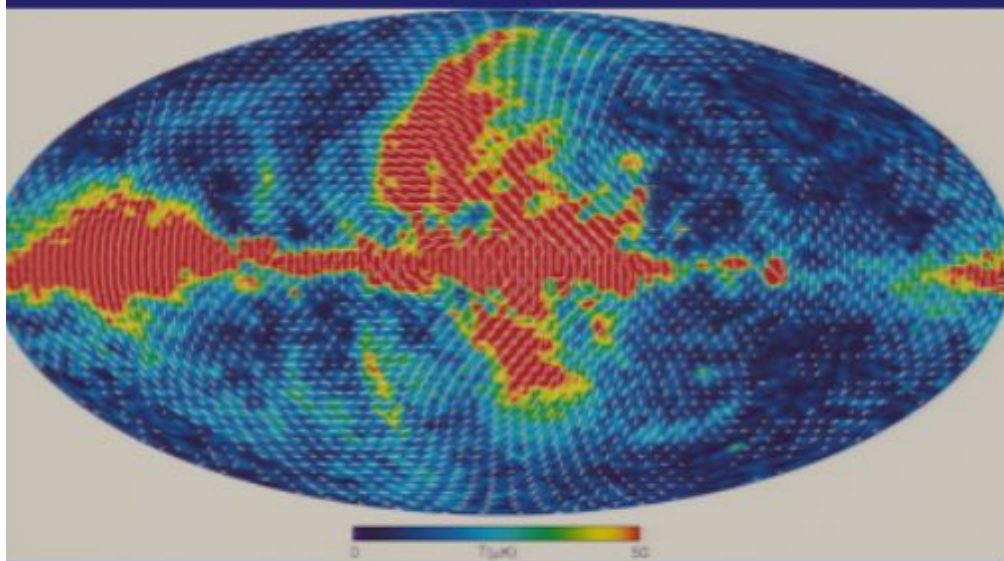


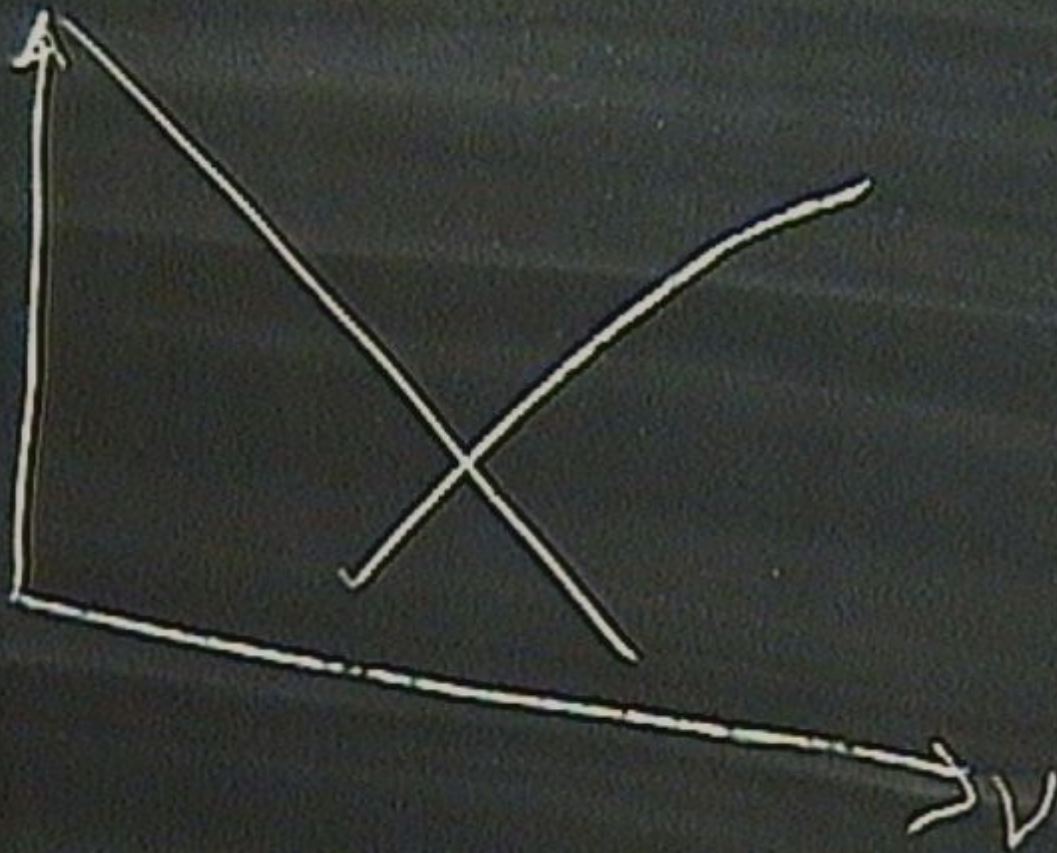
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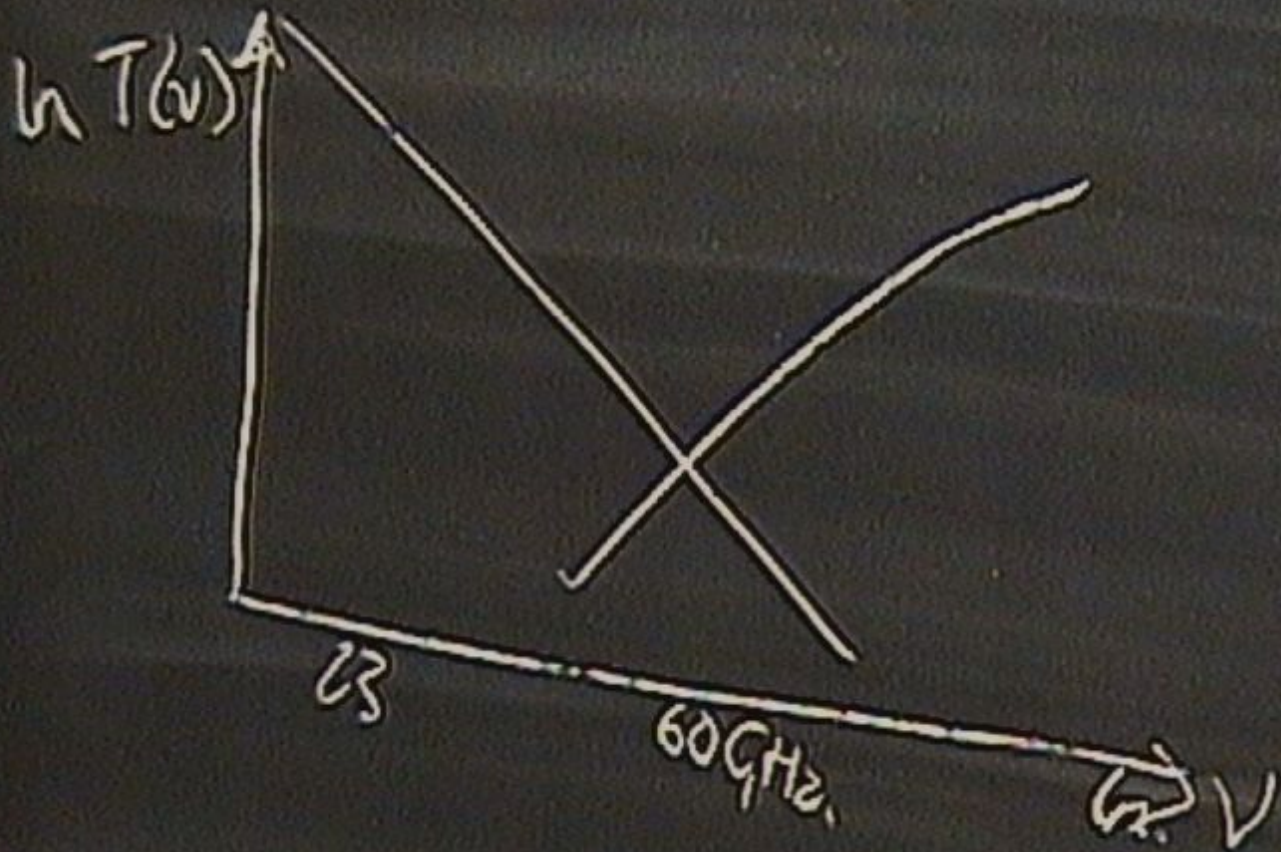


K Band (23 GHz)

Q Band (41 GHz)





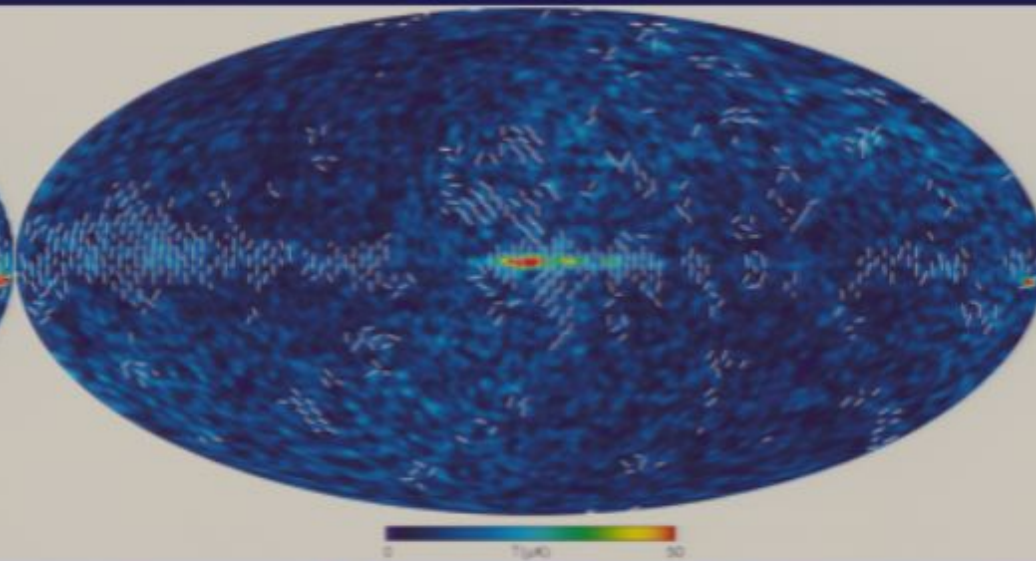
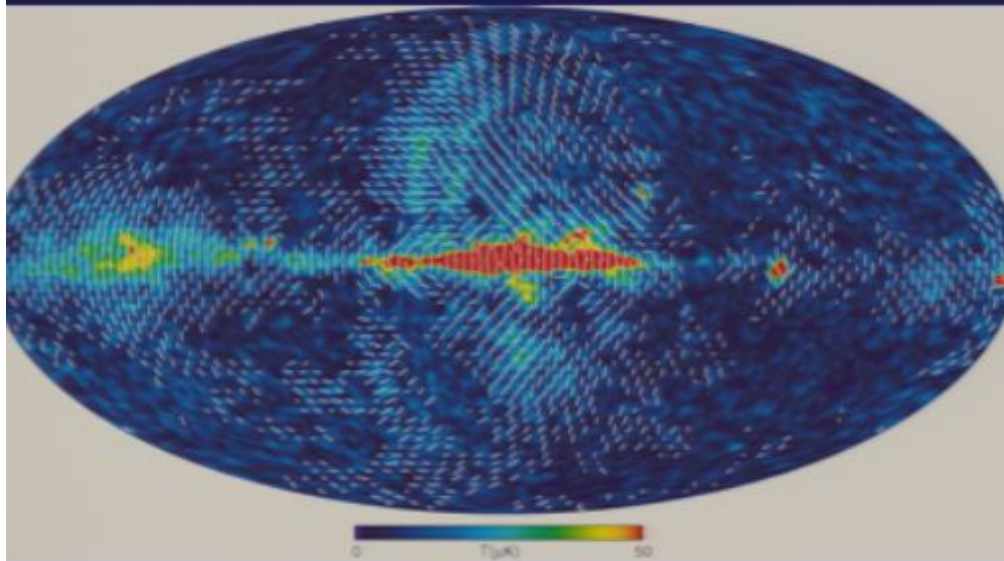
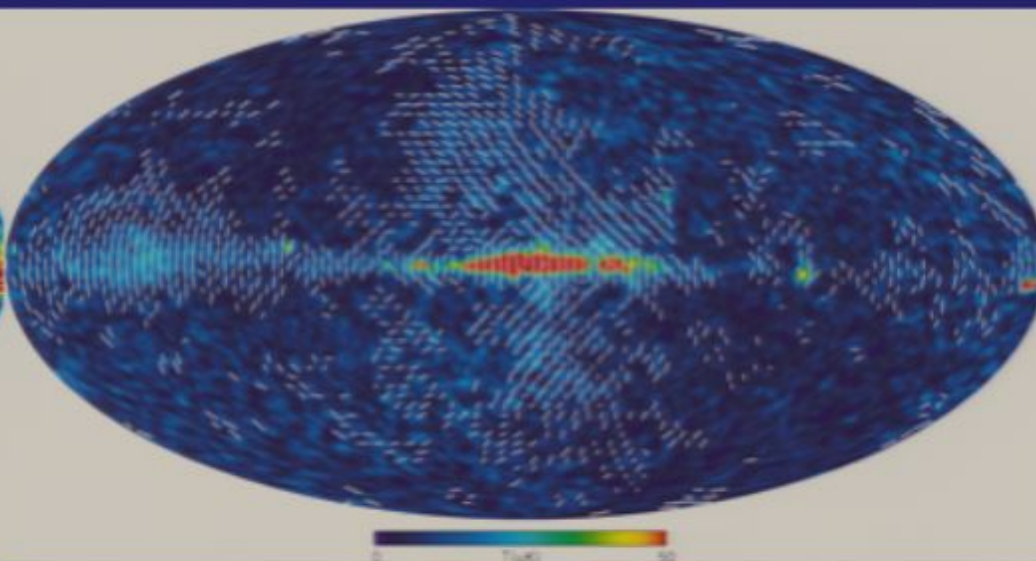
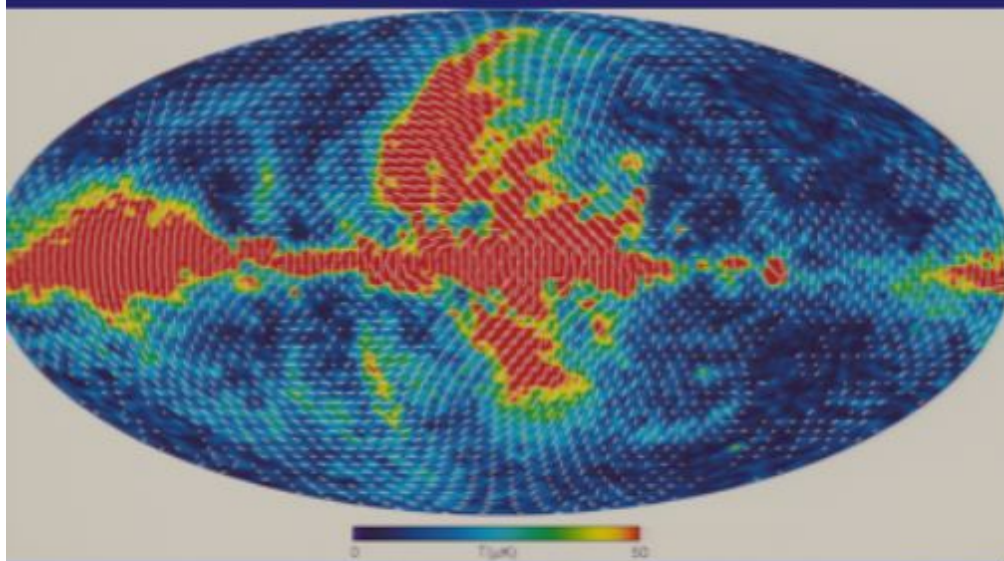


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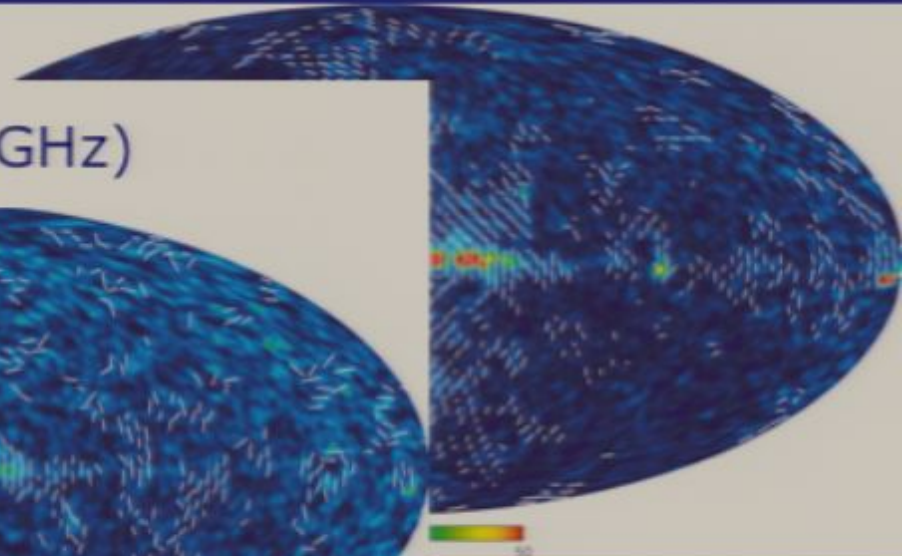
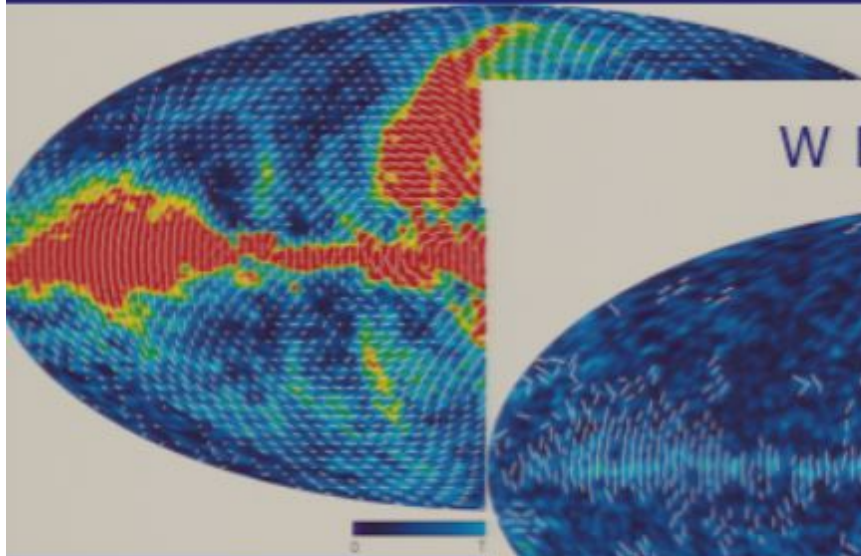


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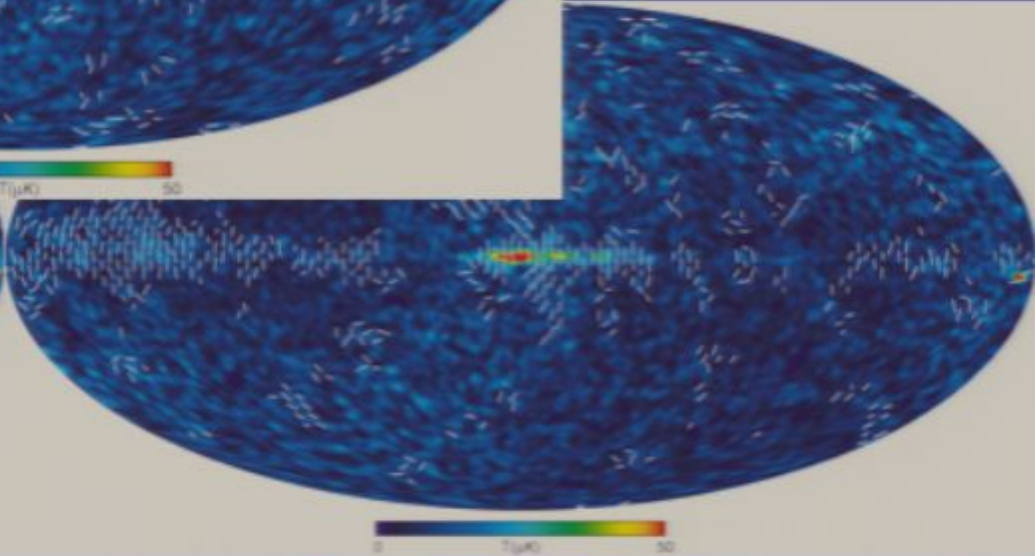
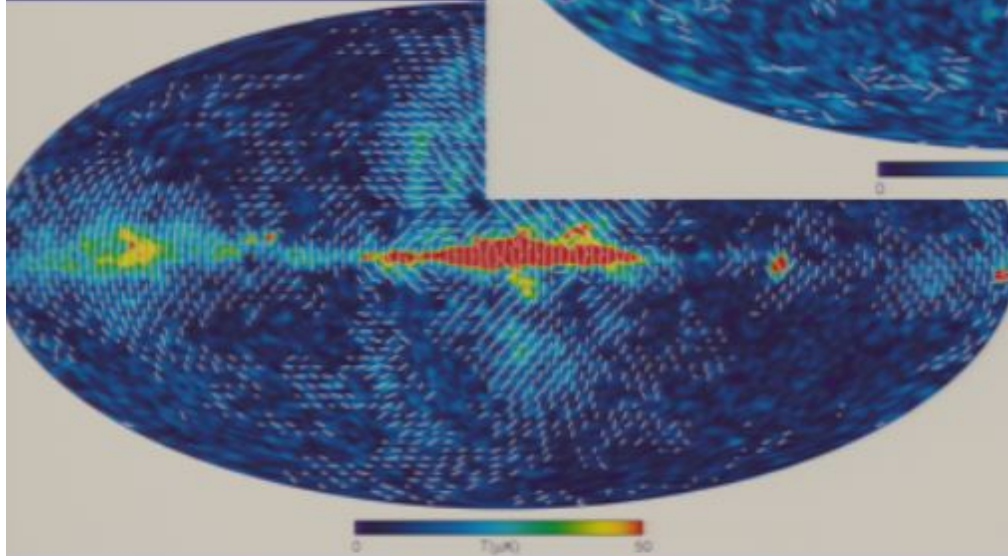
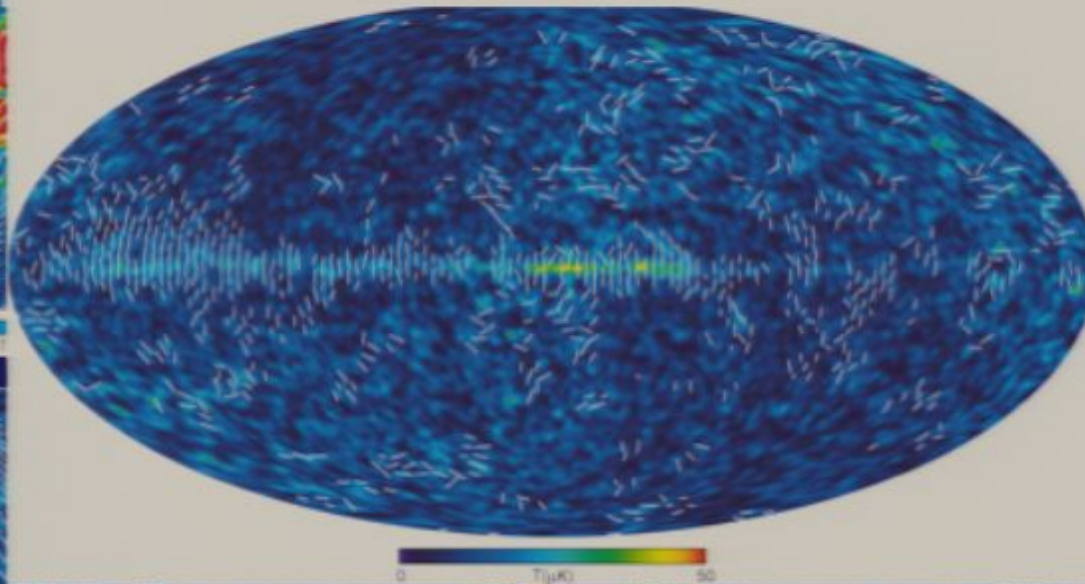


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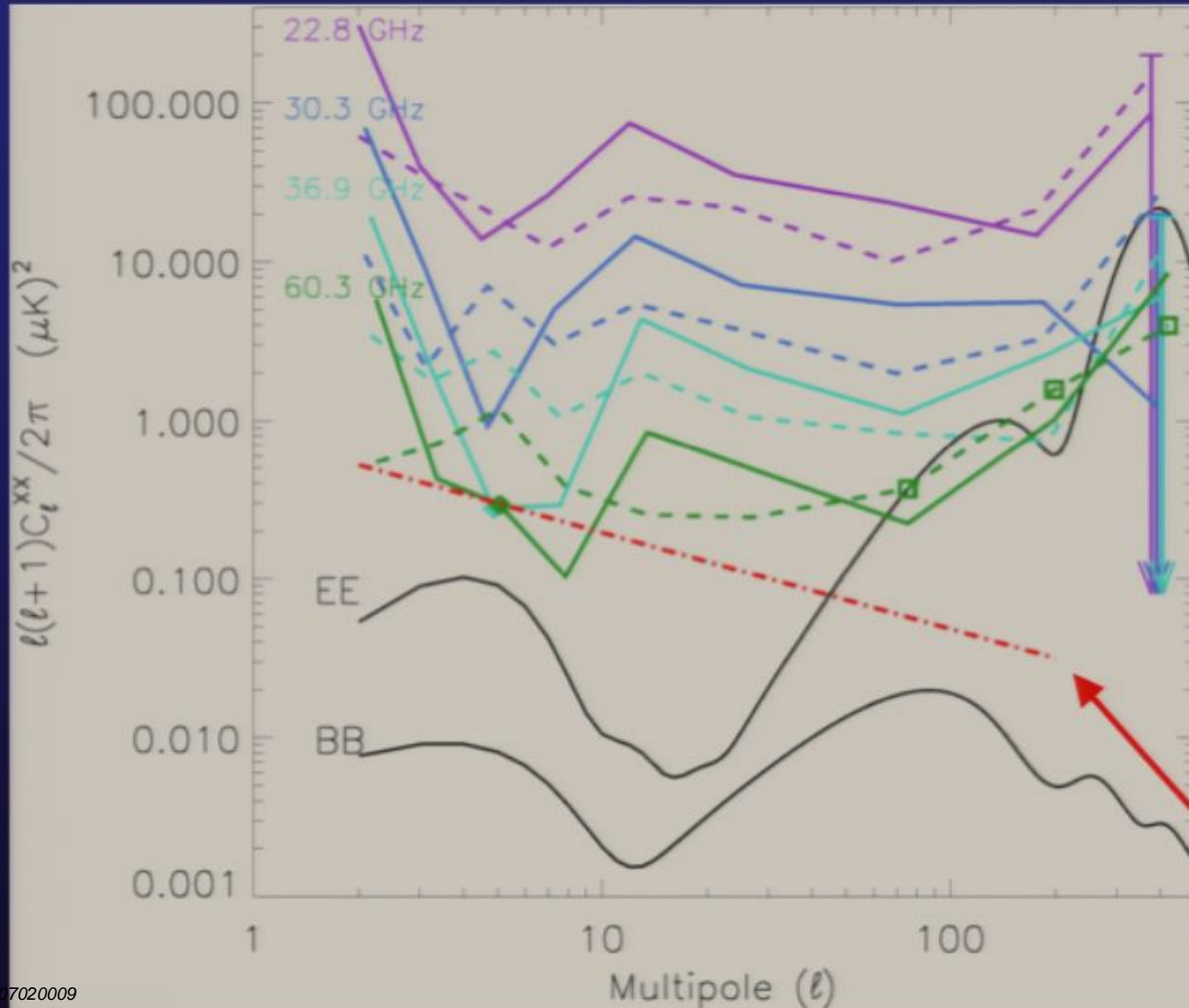
Q Band (41 GHz)



W Band (94 GHz)



# Galactic emission high even outside mask



K-band:  $5\mu\text{K}$   
W-band:  $0.6\mu\text{K}$   
E  $0.3\mu\text{K}$   
B  $0.1\mu\text{K}$

$\tau=0.09$   
 $r=0.3$

**Rough fit  
to BB FG  
in 60GHz**

# WMAP 3yr template cleaning worked well

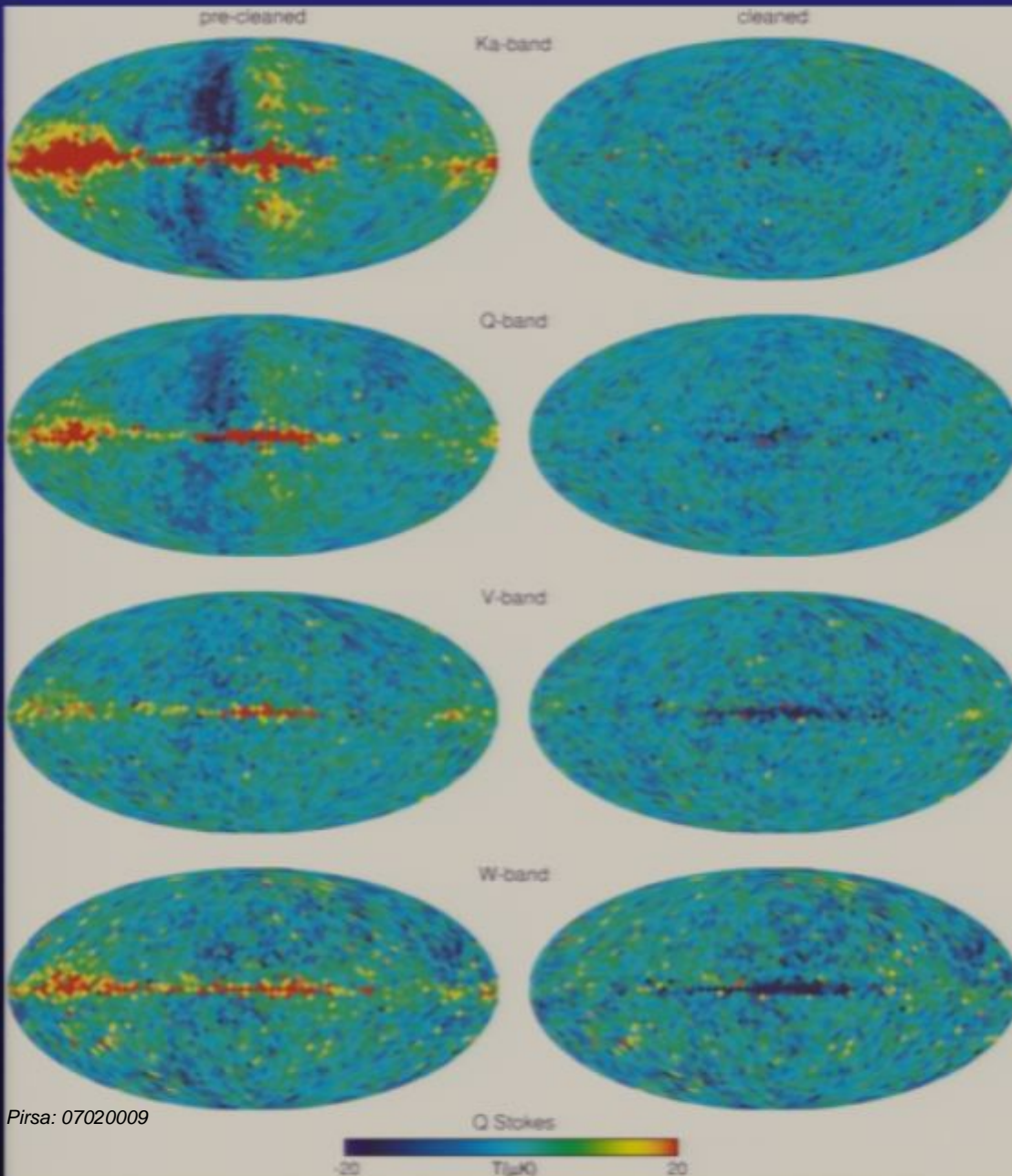


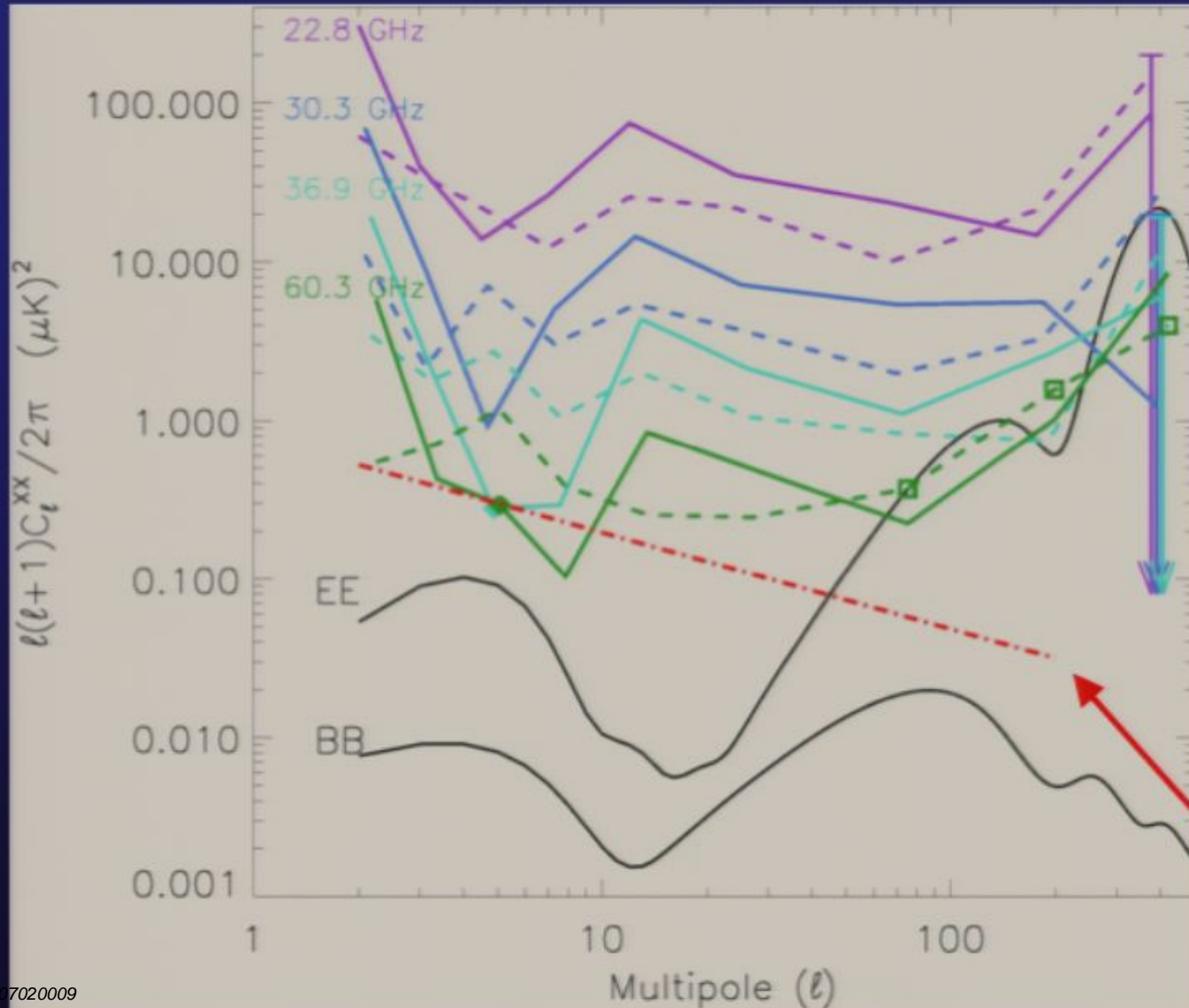
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COMPARISON OF  $\chi^2$  BETWEEN PRE-CLEANED AND CLEANED MAPS

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Ka	10.65	1.70	6144	58061
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The top half of the table compares  $\chi^2/\nu$  for the full-sky pre-cleaned map to  $\chi^2/\nu$  for full-sky cleaned map. The bottom half makes a similar comparison for the region outside the P06 mask.

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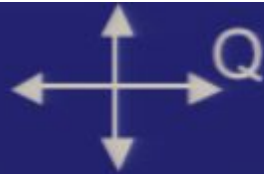


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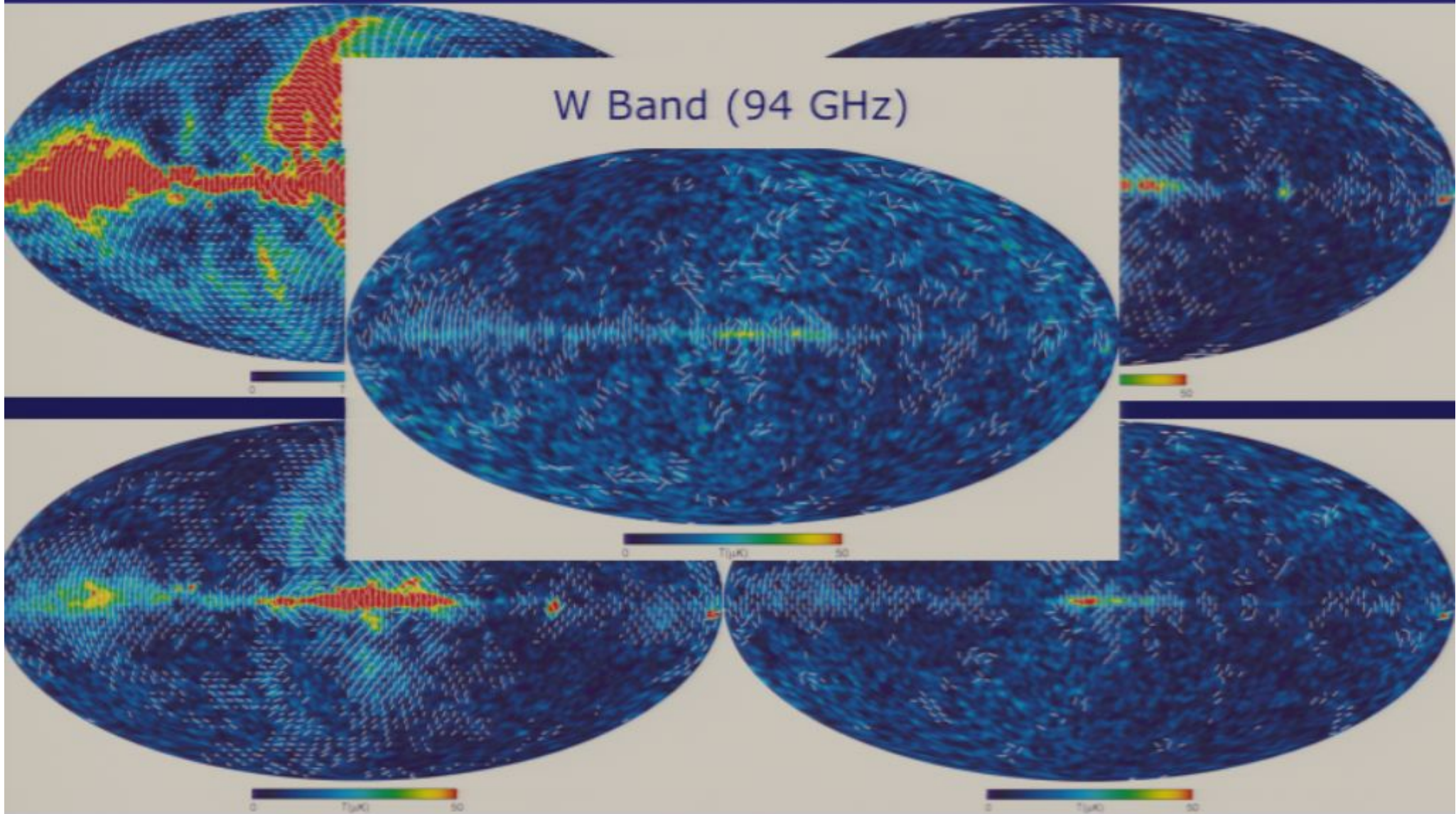
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Q Band (41 GHz)



W Band (94 GHz)

Ka Band (33 GHz)

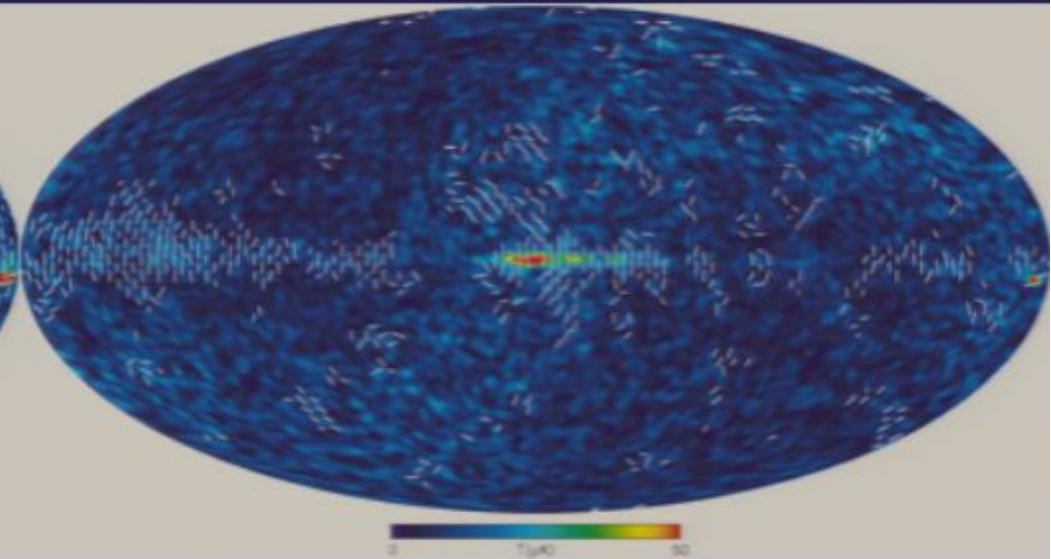
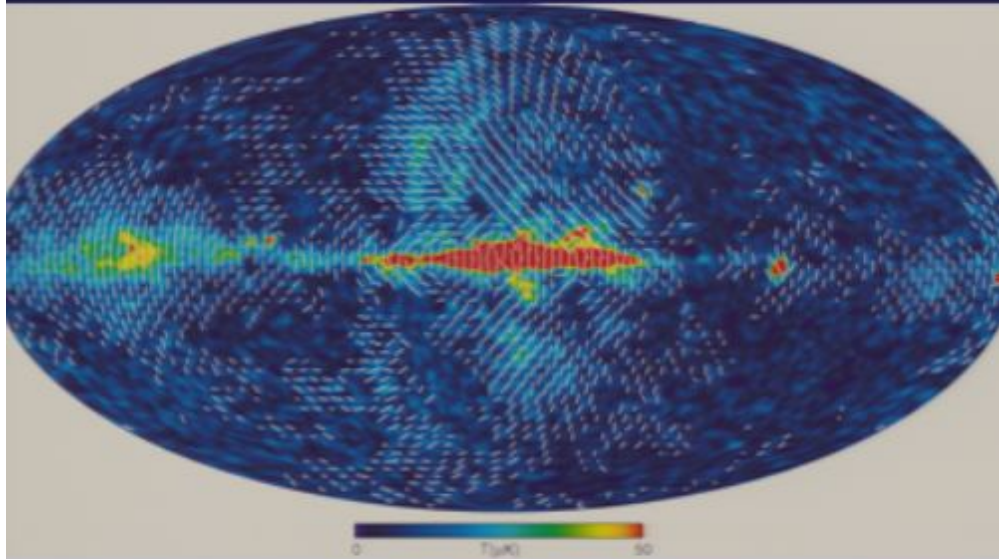
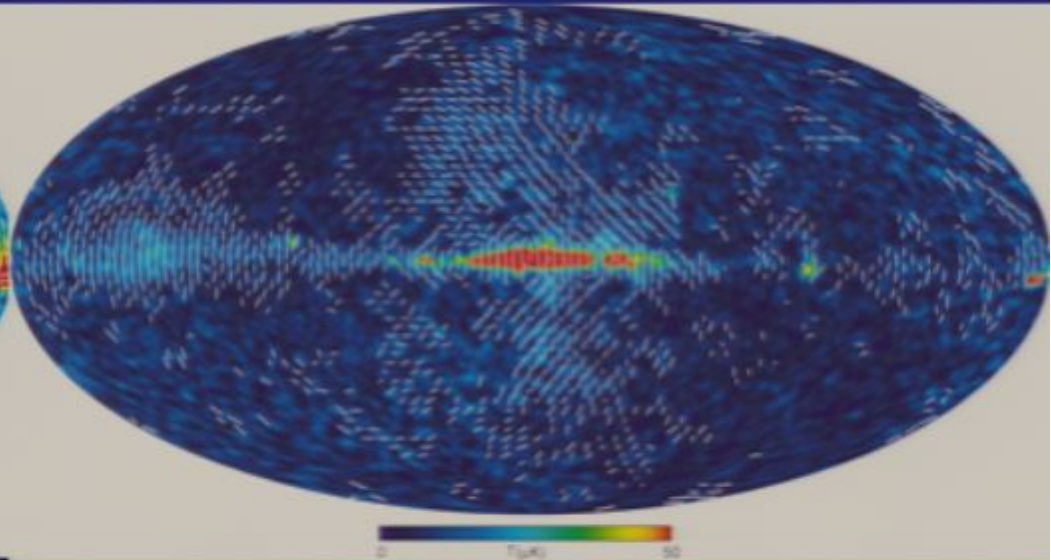
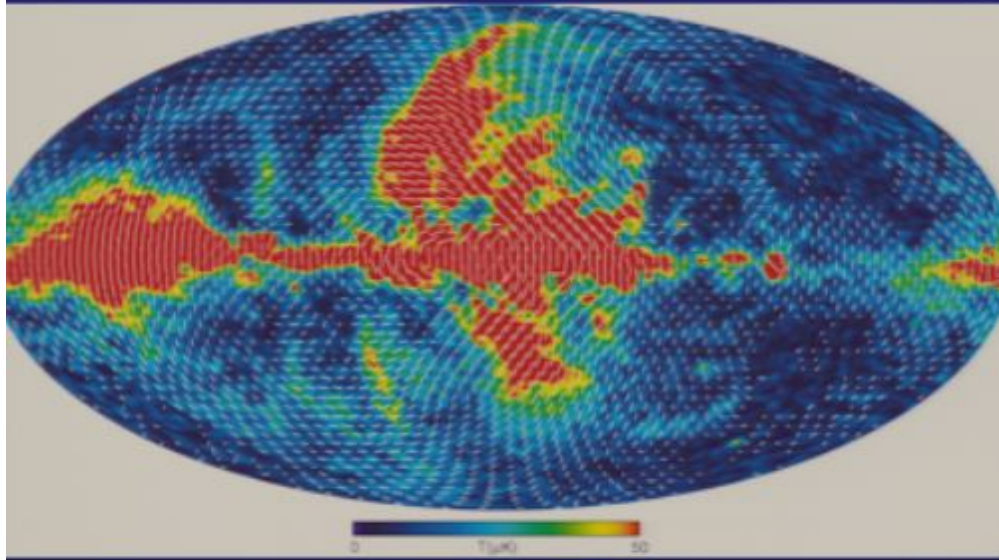
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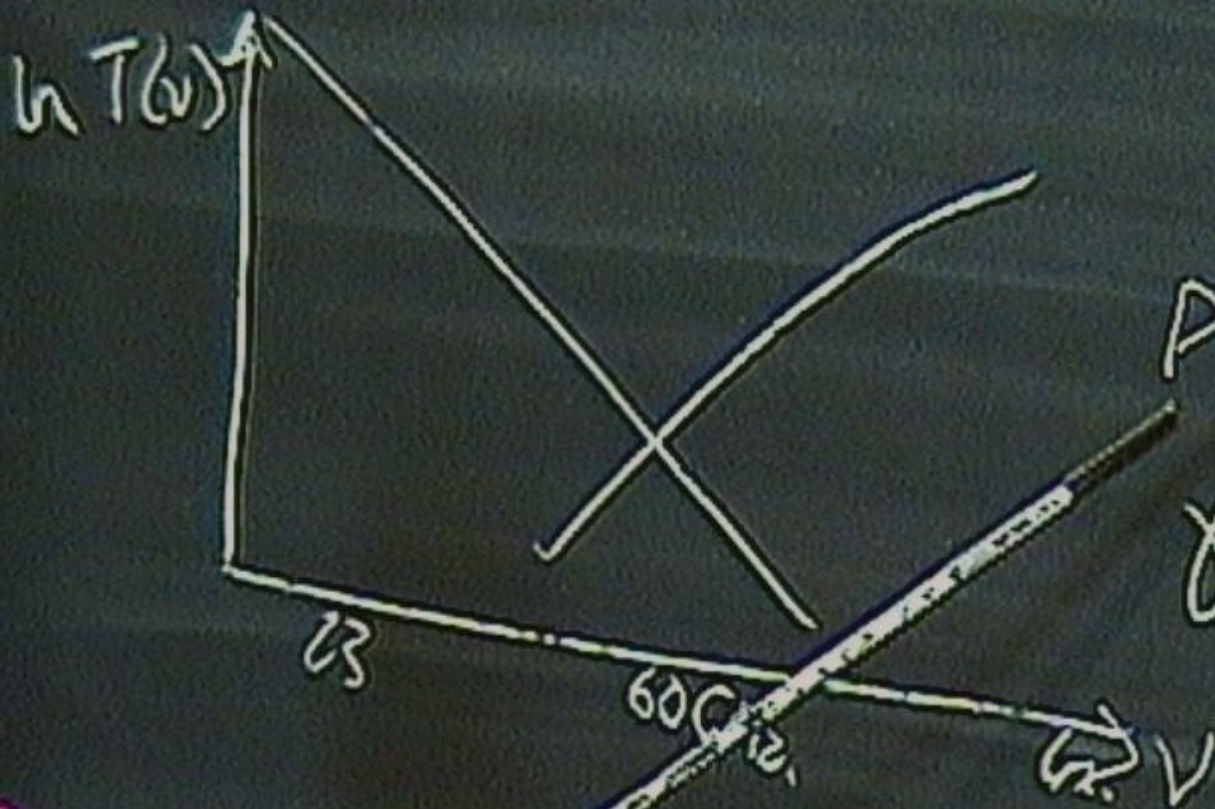
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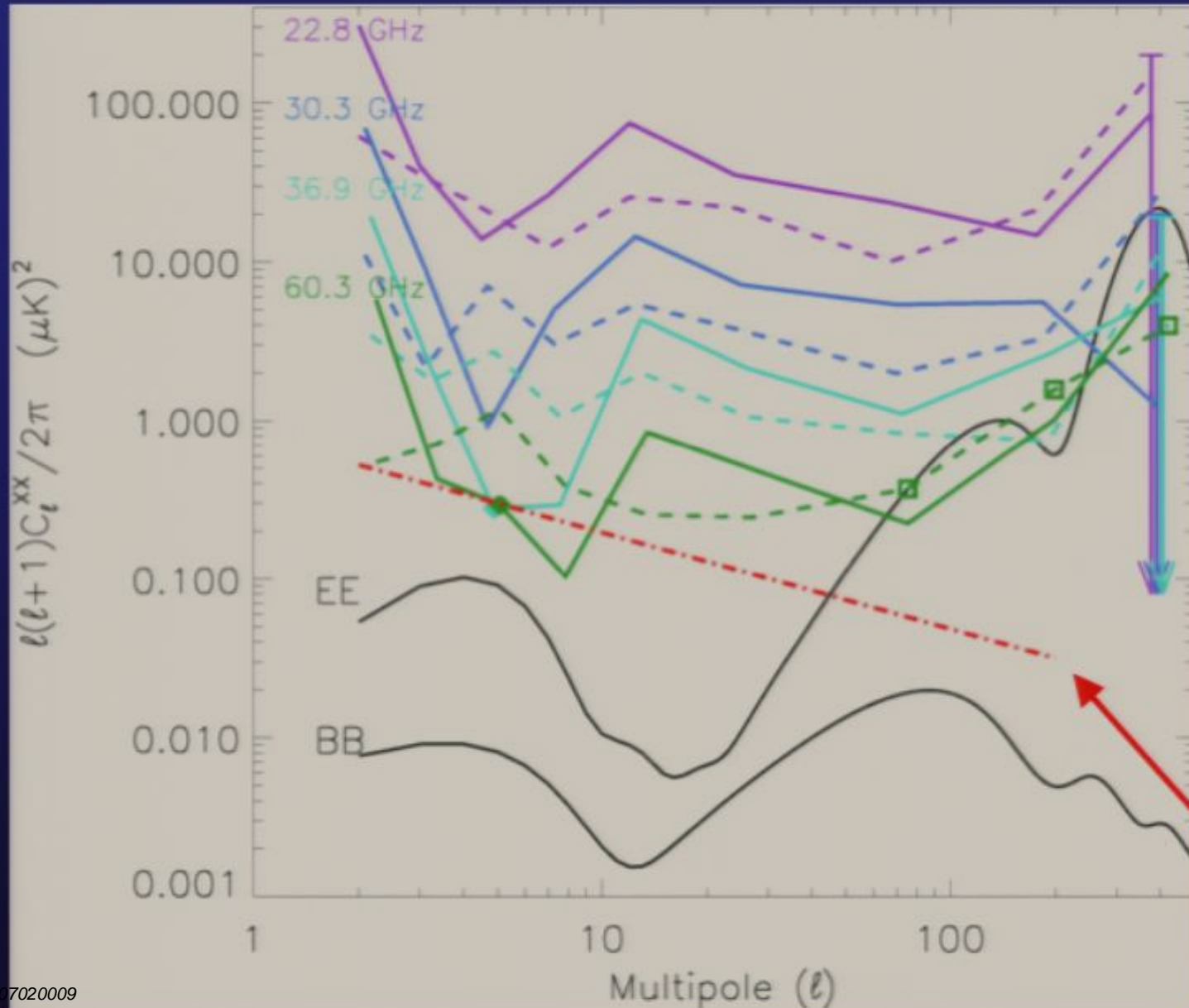




$$P = \sqrt{Q^2 + u^2}$$

$$\gamma = 0.5 \operatorname{atan} \left( \frac{u}{Q} \right)$$

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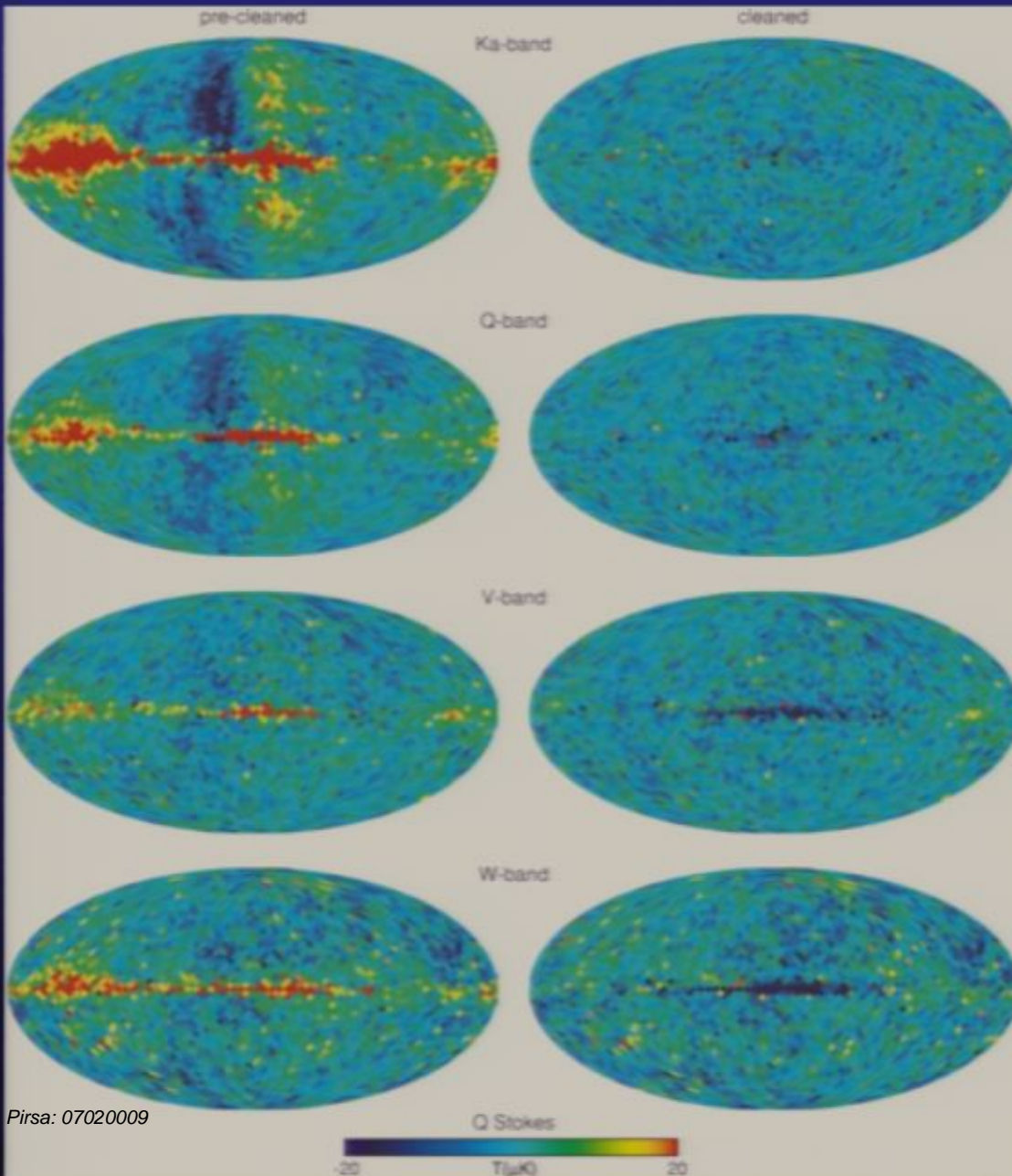


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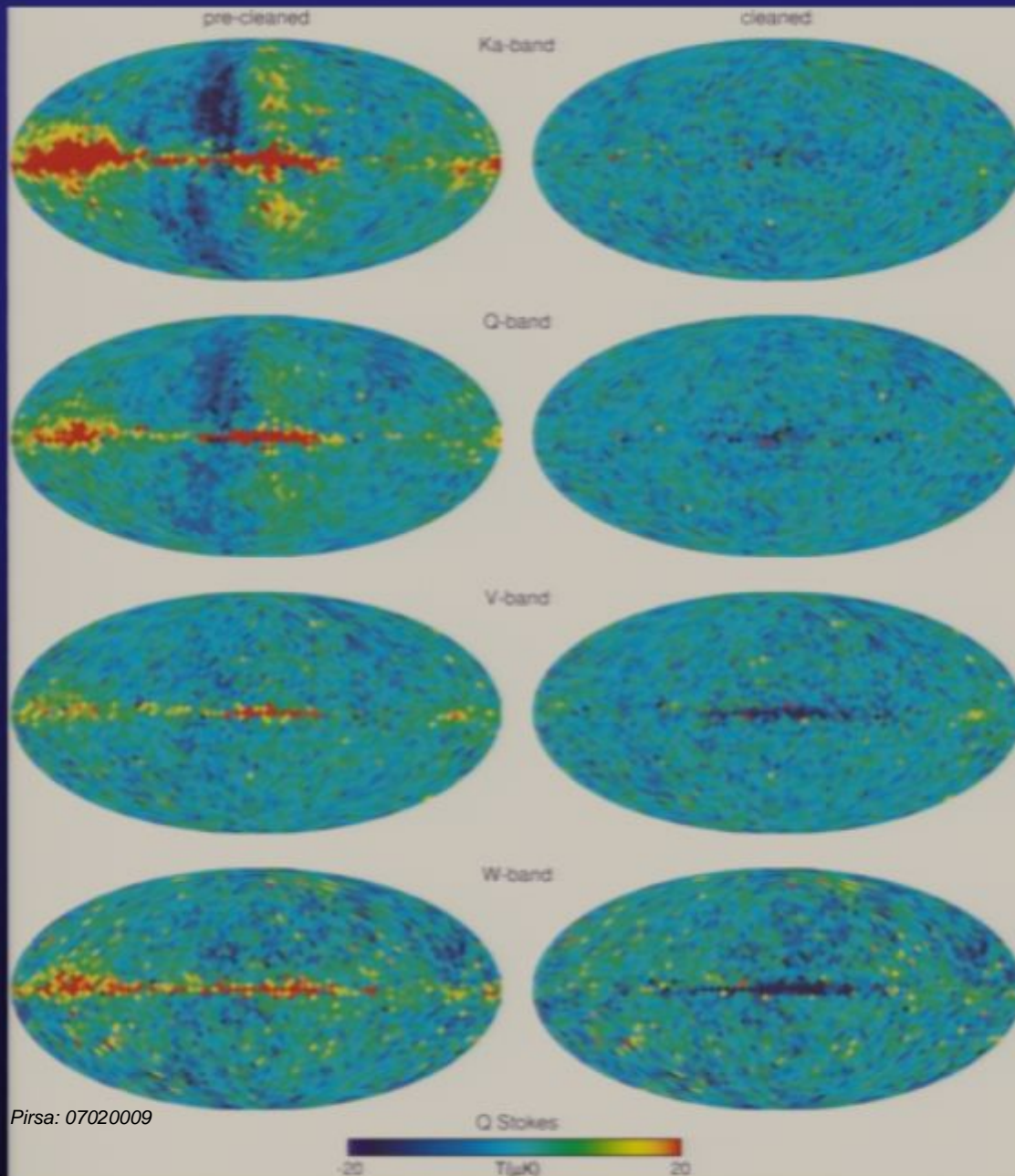


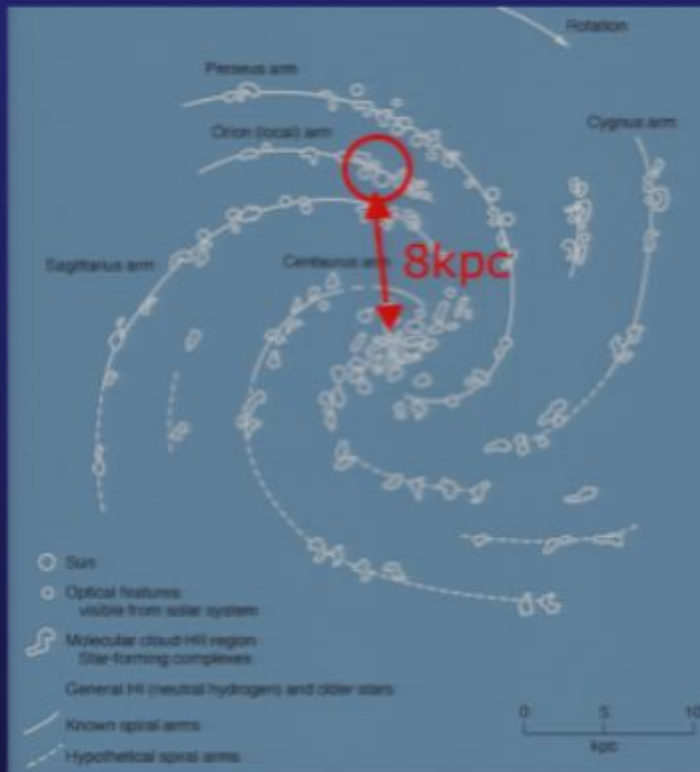
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# The polarized microwave galaxy



*What do we care about?*

- \*Magnetic field\*
- Energetic electrons
  - Injection in star-forming regions
  - Diffusion of electrons along field lines
- Dust



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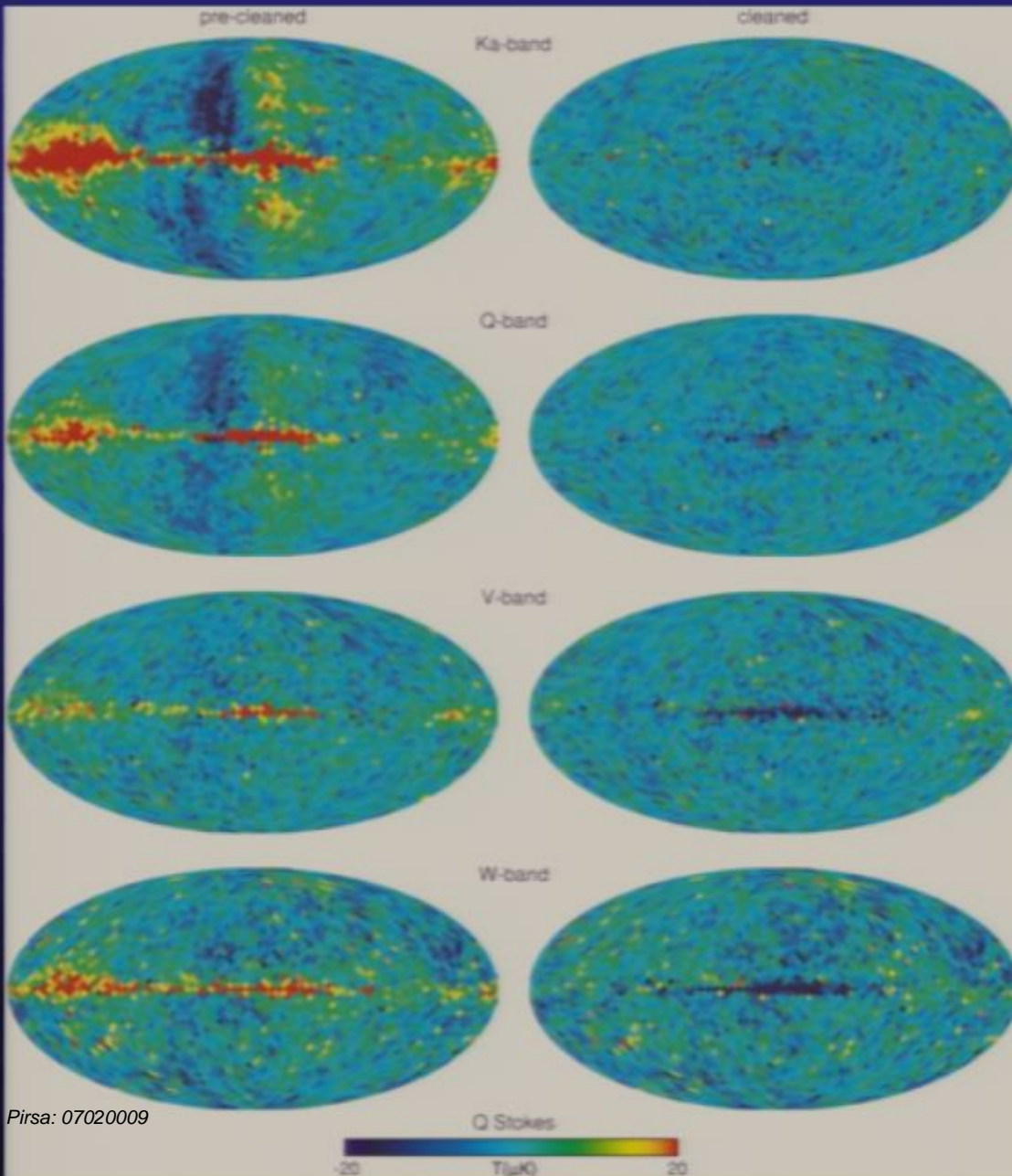


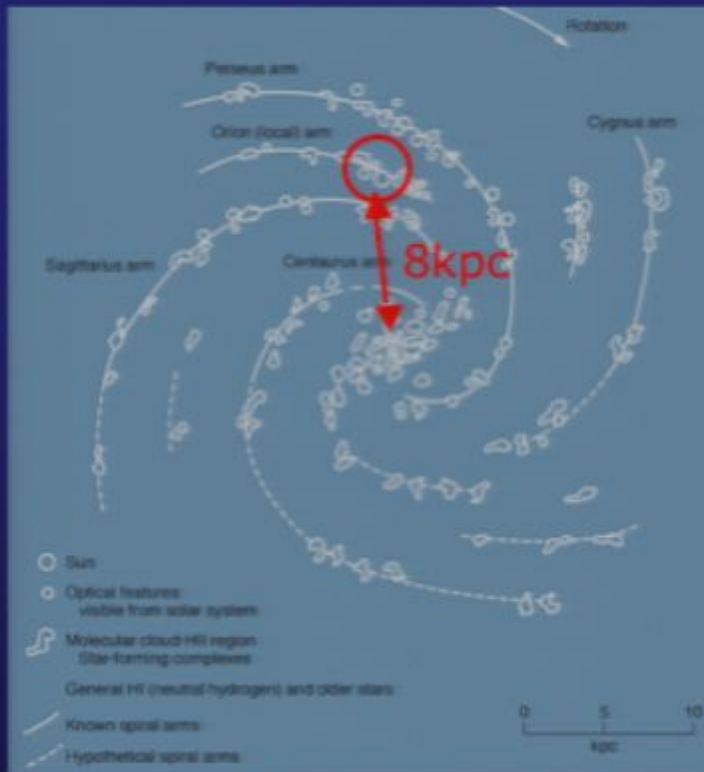
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# Synchrotron radiation

Relativistic electrons spiraling in magnetic fields

$$I(\mathbf{x}) \propto n_e(\mathbf{x}) [B_s(\mathbf{x})^2 + B_t(\mathbf{x})^2]$$

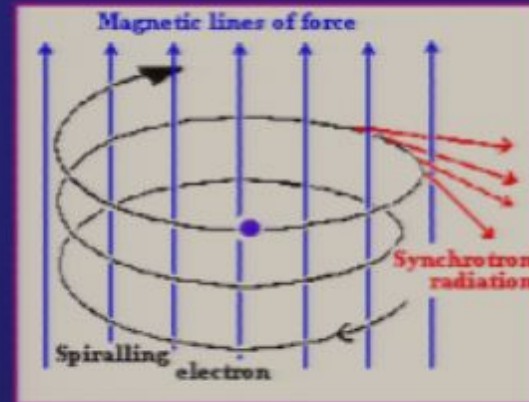
$$Q(\mathbf{x}) \propto n_e(\mathbf{x}) \Pi_s [B_s(\mathbf{x})^2 - B_t(\mathbf{x})^2]$$

$$U(\mathbf{x}) \propto n_e(\mathbf{x}) \Pi_s [2B_s(\mathbf{x})B_t(\mathbf{x})]$$

Spectrum of radiation depends on energy distribution of electrons:

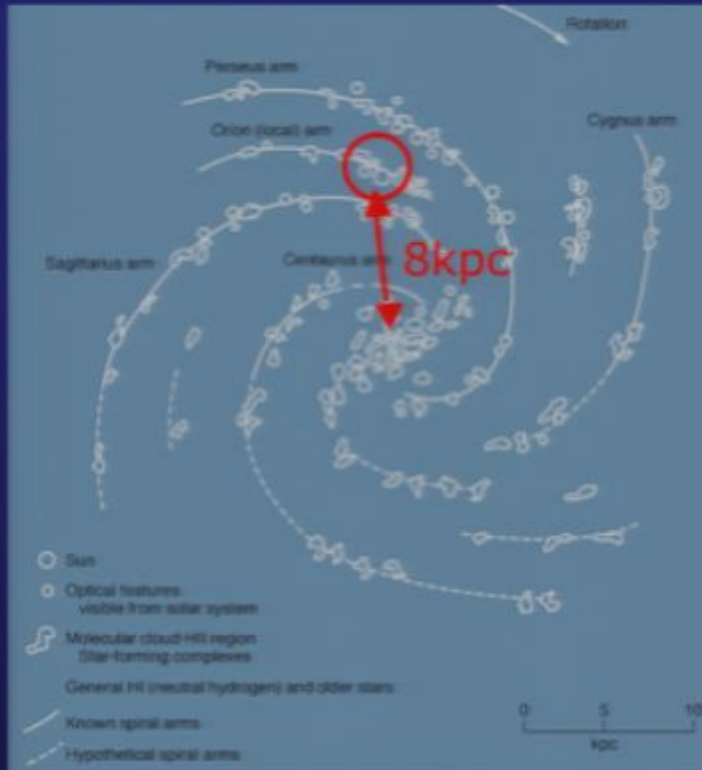
$$n(E) \propto E^{-p}$$

$$I(\nu) \propto \nu^{-\frac{p+3}{2}}$$



Radiation is polarized perpendicular to B-field

# The polarized microwave galaxy



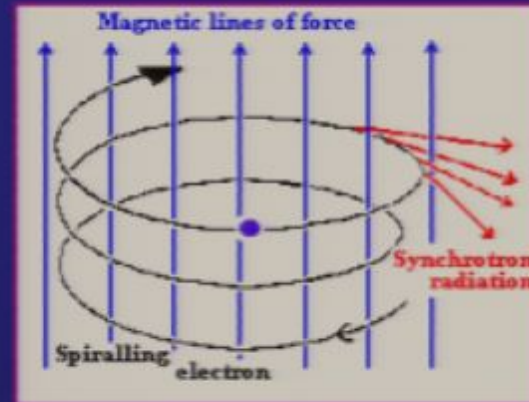
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# Diffusion through the galaxy

- o We look at integrated line of sight

$$I(\hat{n}) \propto \int_x dx n_e(x, \hat{n}) [B_s(x, \hat{n})^2 + B_t(x, \hat{n})^2]$$

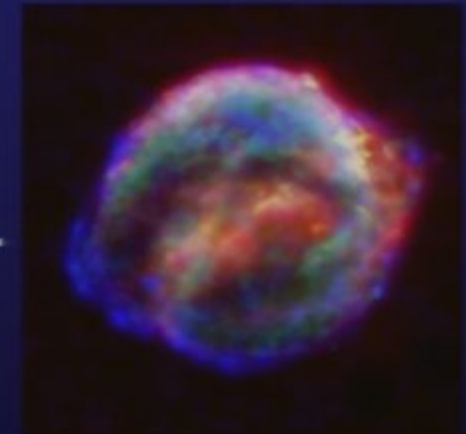
$$Q(\hat{n}) \propto \Pi_s \int_x dx n_e(x, \hat{n}) [B_s(x, \hat{n})^2 - B_t(x, \hat{n})^2]$$

$$U(\hat{n}) \propto \Pi_s \int_x dx n_e(x, \hat{n}) [2B_s(x, \hat{n})B_t(x, \hat{n})]$$

$$\tan 2\gamma(\hat{n}) = \frac{U(\hat{n})}{Q(\hat{n})}$$

- o How do the electrons get there?
  - injected in supernovae, diffuse along B-field lines.

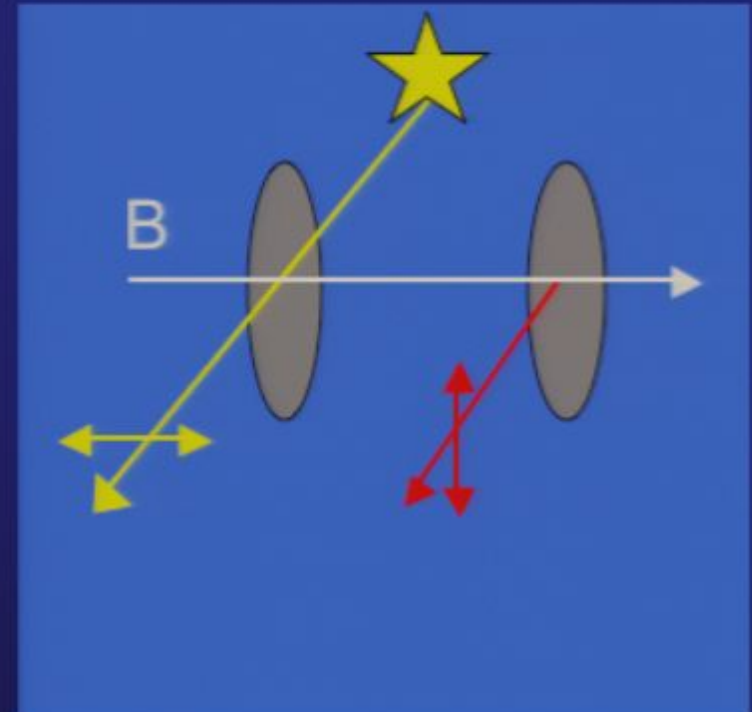
$$\frac{dN}{dt} - D\nabla^2 N - \frac{\partial}{\partial E} \left( \frac{\partial E}{\partial t} N \right) = A(E, r, t)$$



*So we understand the physics, but we don't know electron injection rate, diffusion rate, and location of injection, or B-field...*

# Thermal dust emission

- o Grains align with B-field
- o Index:  $T(\nu) \propto \nu^2$
- o Fractional polarization depends on B-field and asymmetry of dust grains
- o Use starlight to trace directions



$$I(\hat{n}) \propto \int_x dx \rho_d(x, \hat{n})$$

$$Q(\hat{n}) \propto \int_x dx f_d(x, \hat{n}) \rho_d(x, \hat{n}) [B_s(x, \hat{n})^2 - B_t(x, \hat{n})^2]$$

$$U(\hat{n}) \propto \int_x dx f_d(x, \hat{n}) \rho_d(x, \hat{n}) [2B_s(x, \hat{n})B_t(x, \hat{n})]$$

# Diffusion through the galaxy

- o We look at integrated line of sight

$$I(\hat{n}) \propto \int_x dx n_e(x, \hat{n}) [B_s(x, \hat{n})^2 + B_t(x, \hat{n})^2]$$

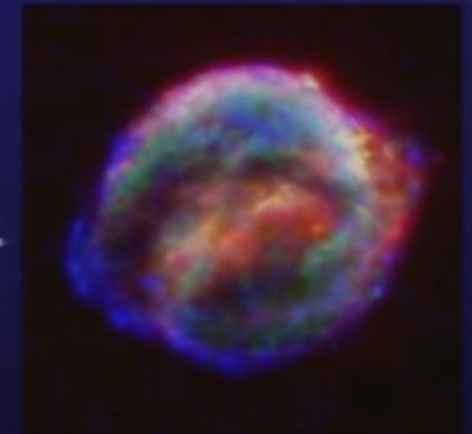
$$Q(\hat{n}) \propto \Pi_s \int_x dx n_e(x, \hat{n}) [B_s(x, \hat{n})^2 - B_t(x, \hat{n})^2]$$

$$U(\hat{n}) \propto \Pi_s \int_x dx n_e(x, \hat{n}) [2B_s(x, \hat{n})B_t(x, \hat{n})]$$

$$\tan 2\gamma(\hat{n}) = \frac{U(\hat{n})}{Q(\hat{n})}$$

- o How do the electrons get there?
  - injected in supernovae, diffuse along B-field lines.

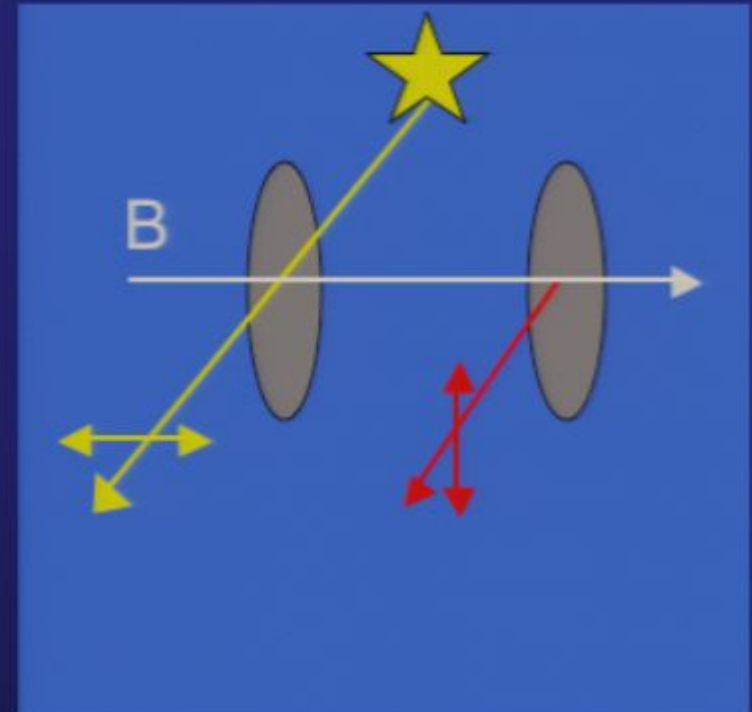
$$\frac{dN}{dt} - D\nabla^2 N - \frac{\partial}{\partial E} \left( \frac{\partial E}{\partial t} N \right) = A(E, r, t)$$



*So we understand the physics, but we don't know electron injection rate, diffusion rate, and location of injection, or B-field...*

# Thermal dust emission

- o Grains align with B-field
- o Index:  $T(\nu) \propto \nu^2$
- o Fractional polarization depends on B-field and asymmetry of dust grains
- o Use starlight to trace directions



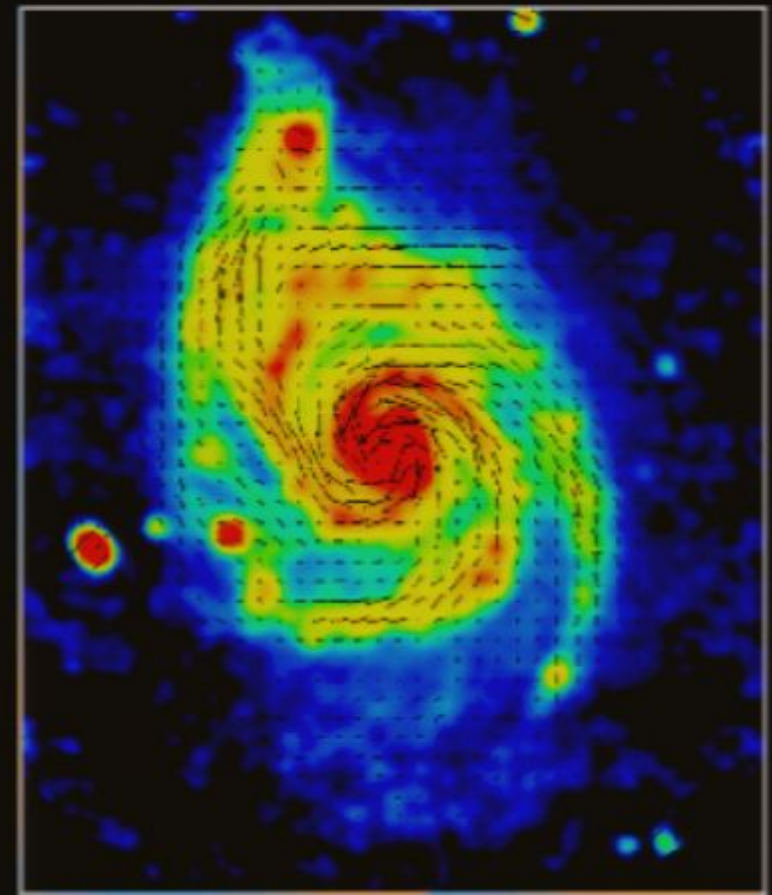
$$I(\hat{n}) \propto \int_x dx \rho_d(x, \hat{n})$$

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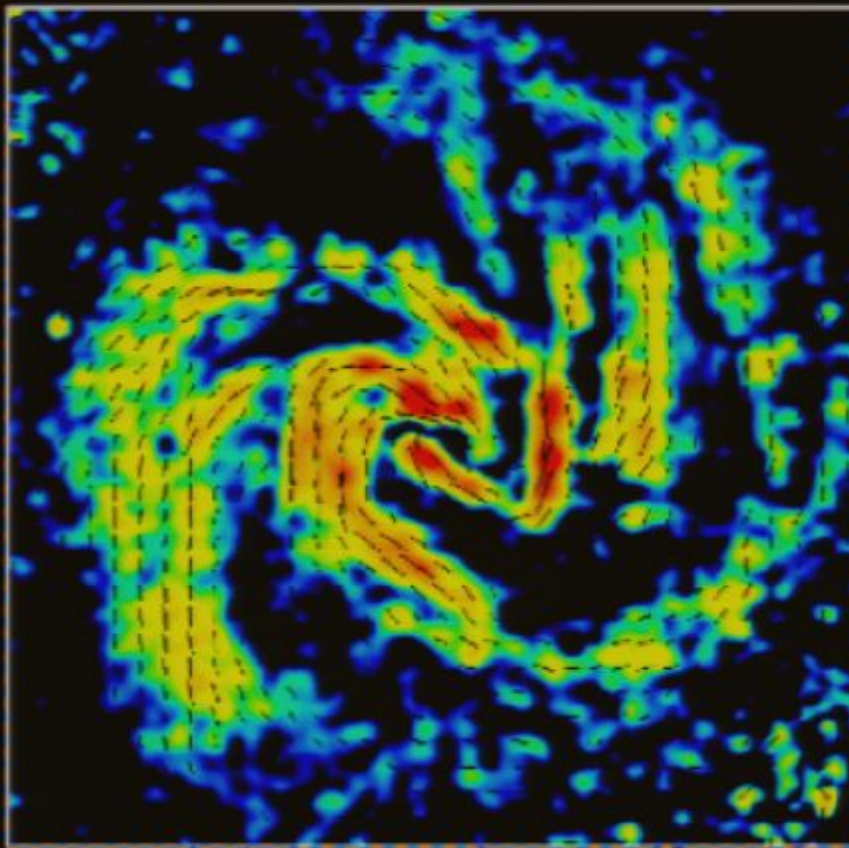
# Magnetic Field Structure in external galaxies exhibit spiral structure

M51 6cm Total Int. + B-Vectors (VLA+Effelsberg)



Copyright: MPIfR Bonn (R.Beck, C.Horellus & K.Neisinger)

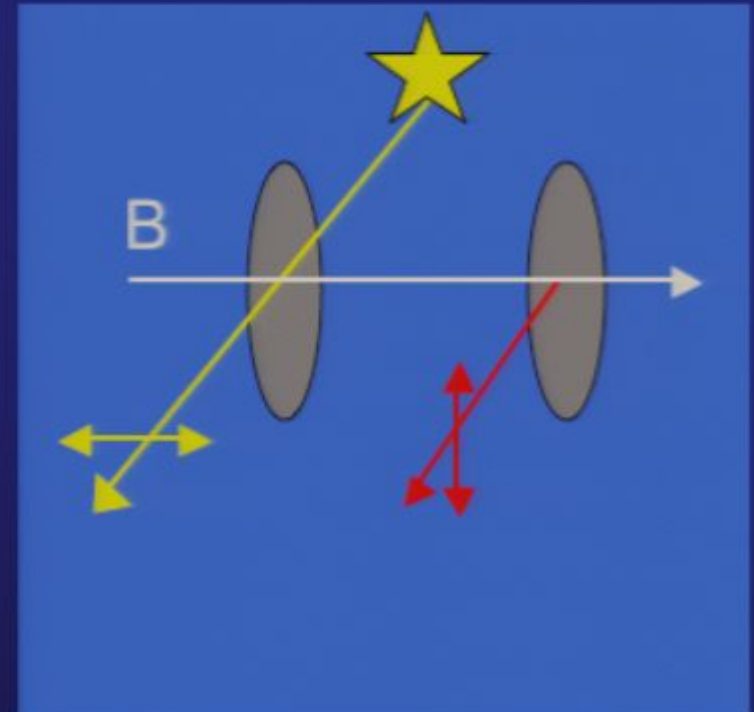
M83 6cm Polarized Int. + B-Vectors (VLA+Effels)



Copyright: MPIfR Bonn (R.Beck, N.Neisinger, S.Sukumar & R.Auss)

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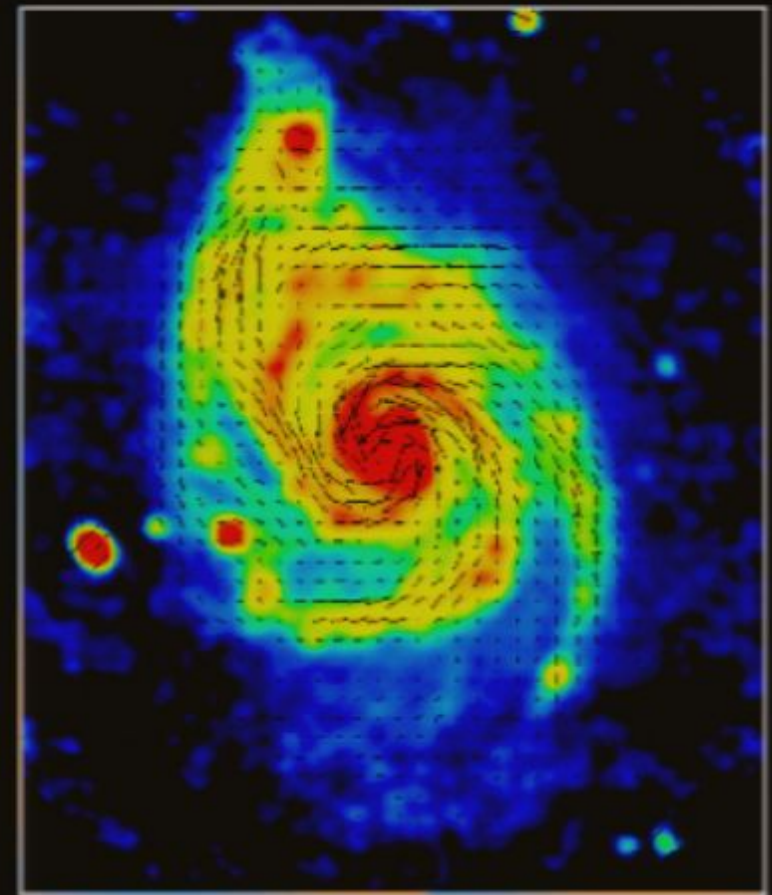
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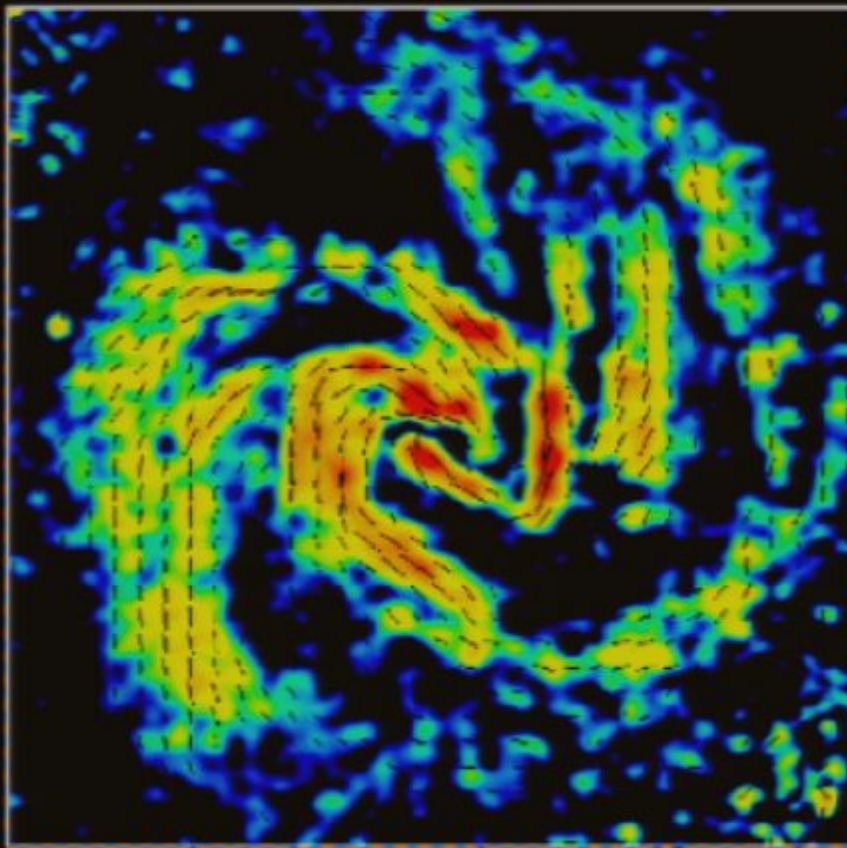
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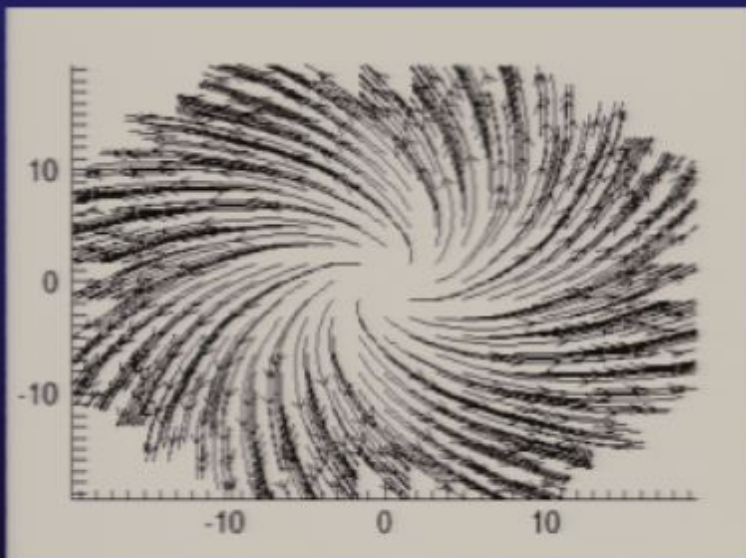
## Coherent field model

$$\mathbf{B}(r, \phi, z) = B_0 [\cos \psi(r) \cos \chi(z) \hat{r} + \sin \psi(r) \cos \chi(z) \hat{\phi} + \sin \chi(z) \hat{z}]$$

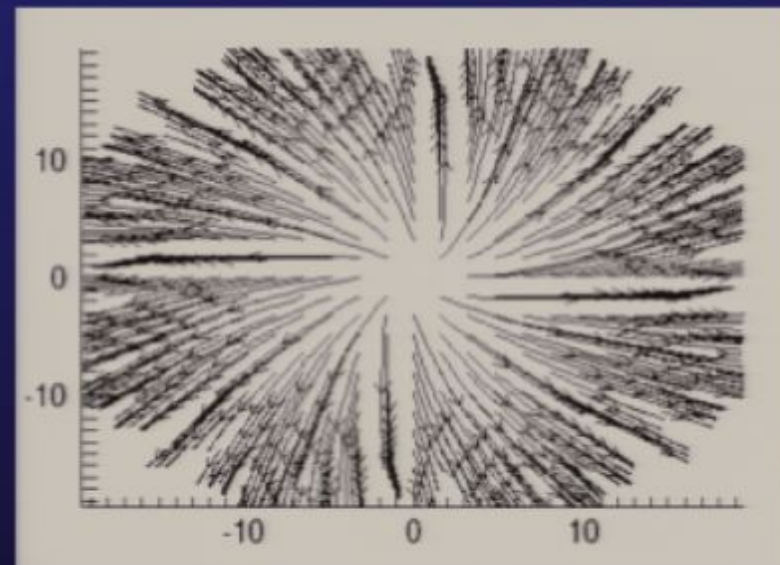
$$\psi(r) = \psi_0 + \psi_1 \ln(r/8\text{kpc})$$

$$\chi(z) = \chi_0 \tanh(x/1\text{kpc})$$

$B_0$  typically  $\sim 6\mu\text{G}$



$\psi_0 = 35^\circ$



$\psi_0 = 10^\circ$

Varying  $\psi_0$

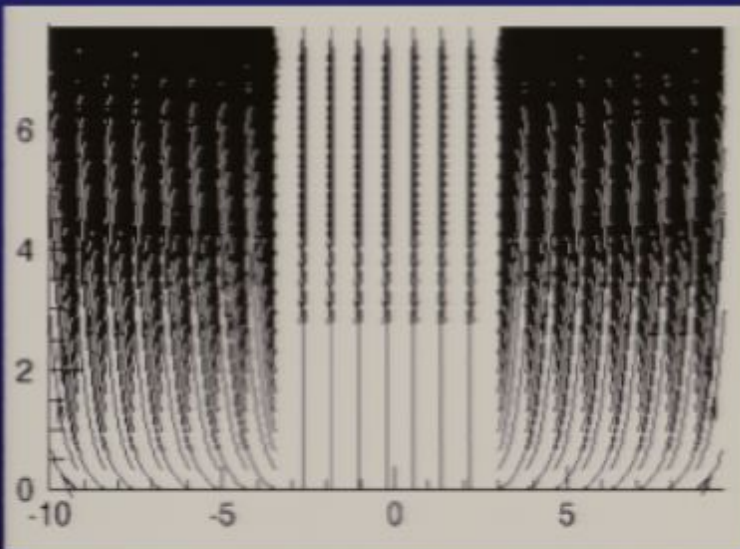


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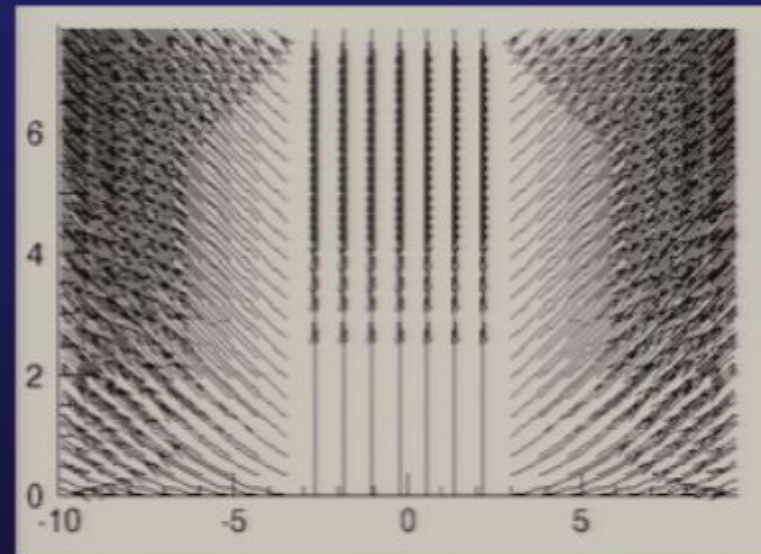
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$\chi_0 = 60^\circ$



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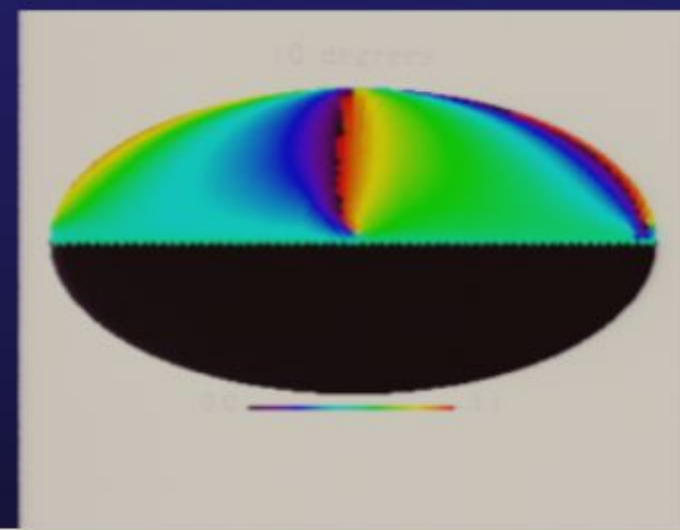
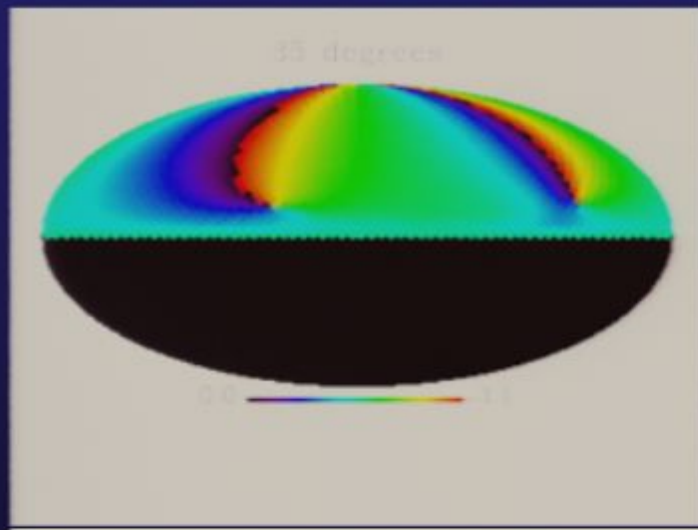
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$$n = n_0 \exp(-r/h_r) \sec h^2(x/h_d)$$



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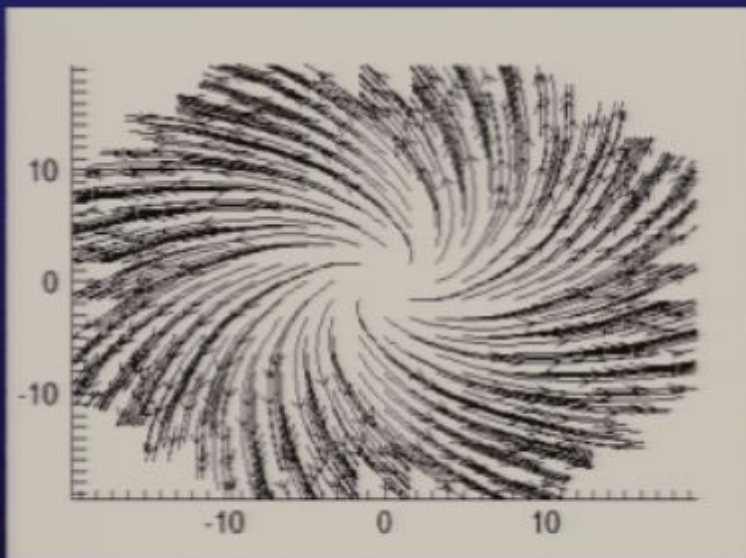
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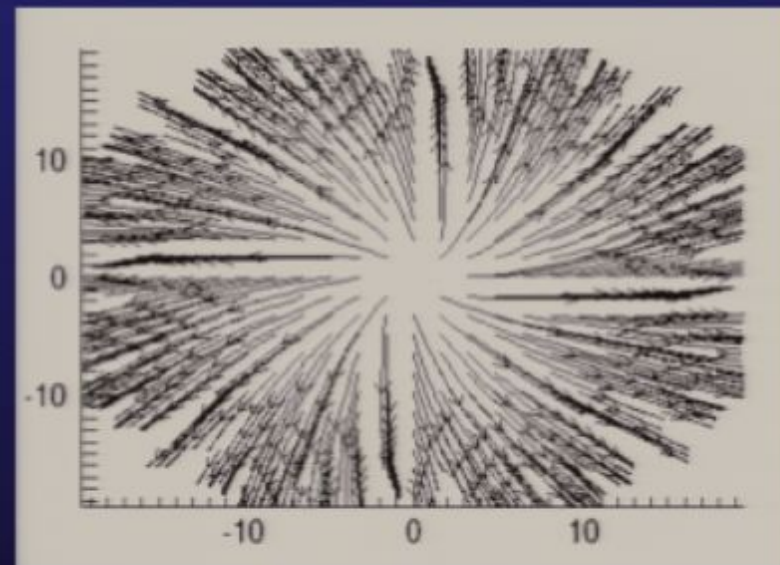
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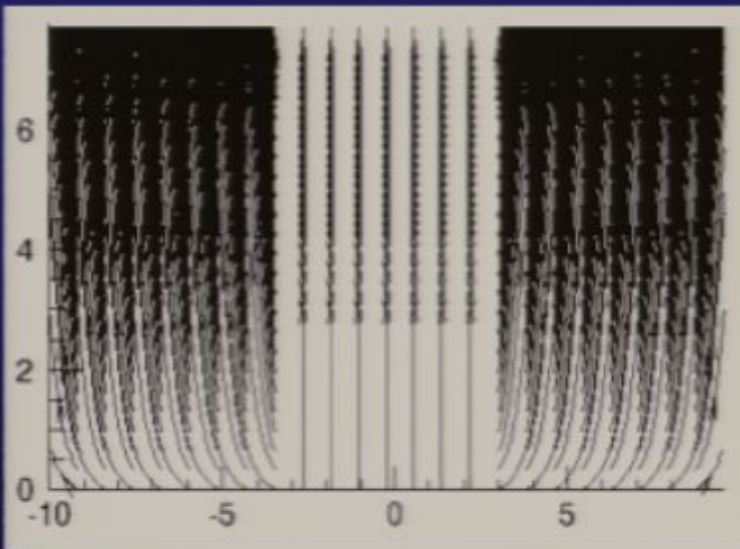
Varying  $\psi_0$

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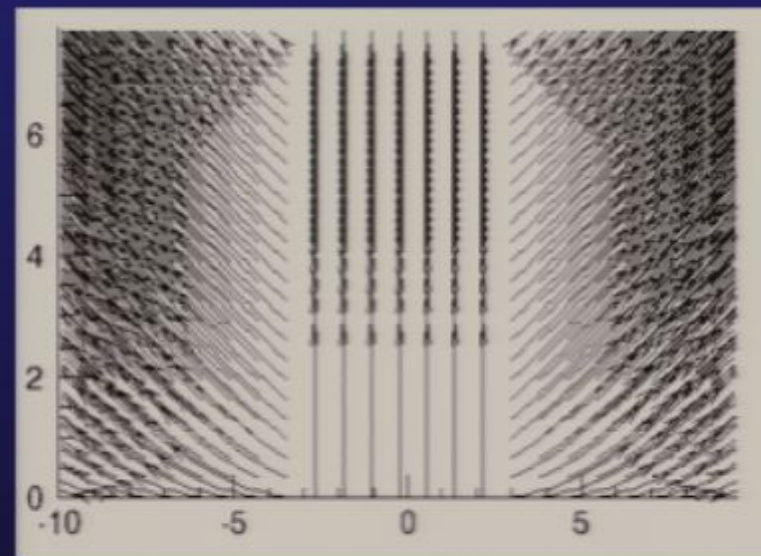
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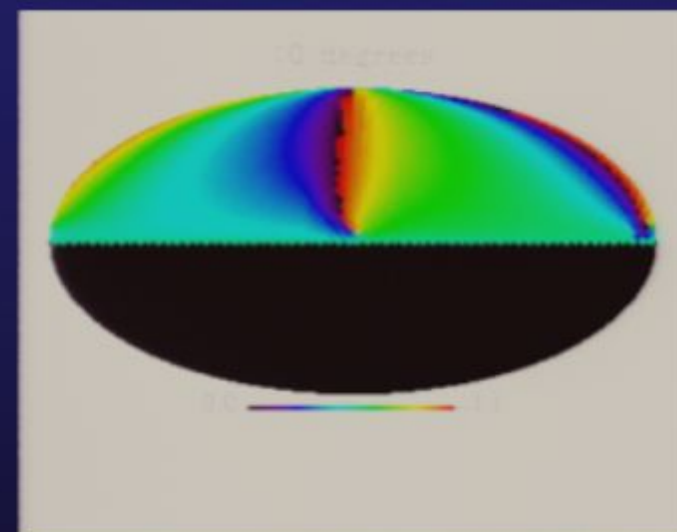
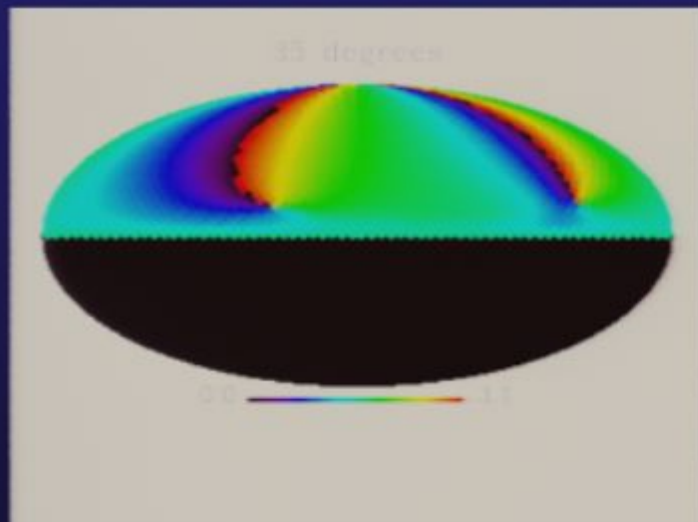
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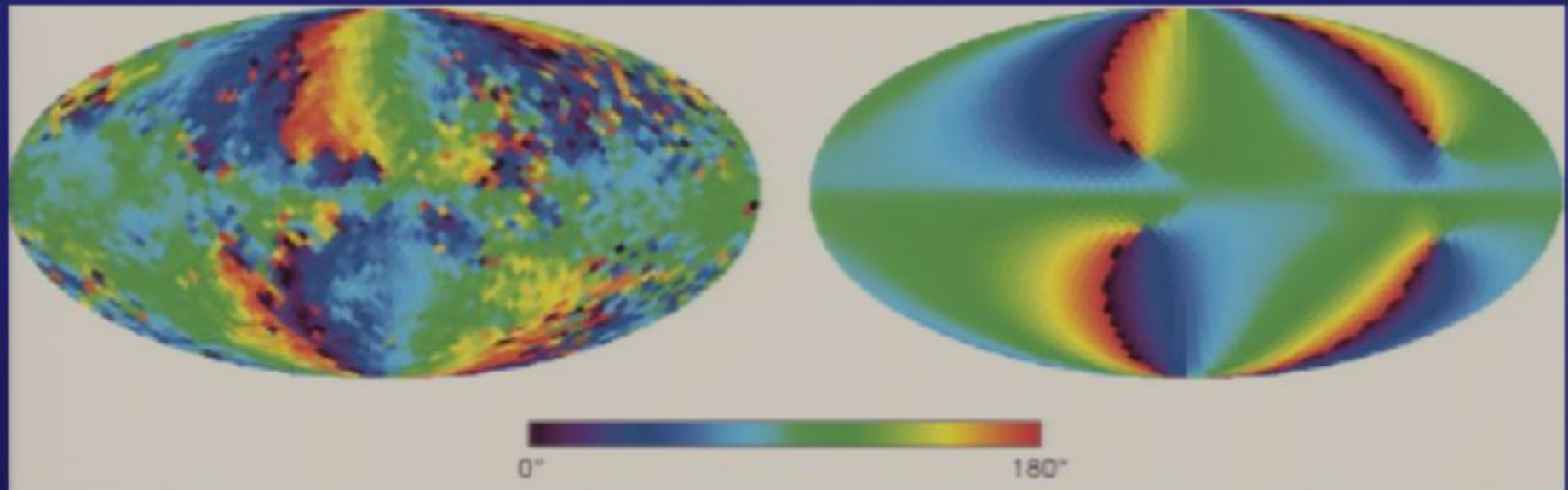
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Effect on polarization directions

## Fits global structure well



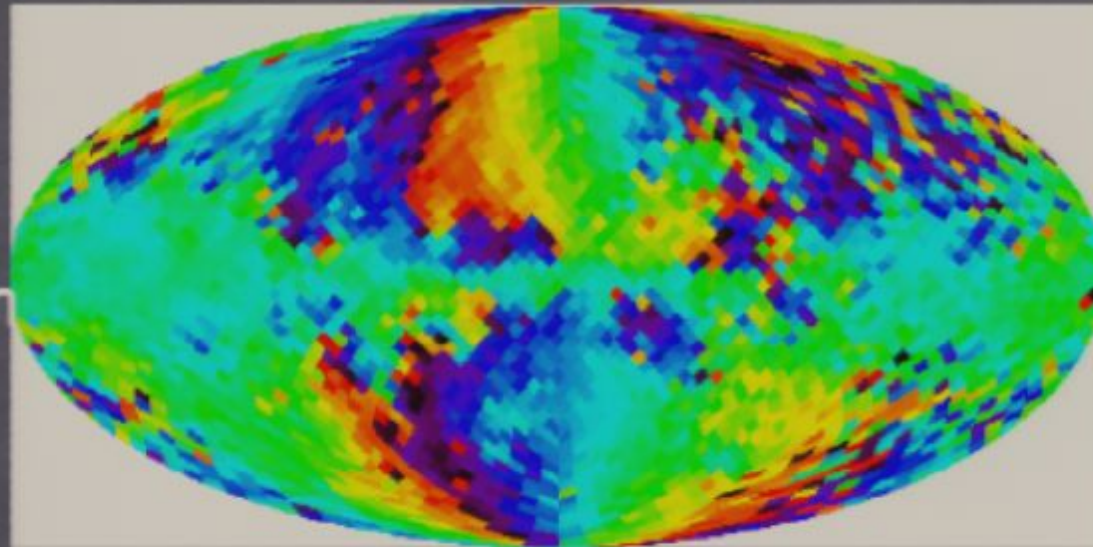
- Best-fit opening angle  $35^\circ$
- $r = \cos[2(\gamma_{\text{model}} - \gamma_{\text{data}})] = 0.76$
- Pulsar measurements indicate  $8^\circ$  (Beck 2001, Han 2006), mainly from plane
- Could be North polar spur confusion (Beck)

$$\tan 2\gamma(\hat{n}) = \frac{U(\hat{n})}{Q(\hat{n})}$$

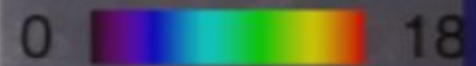
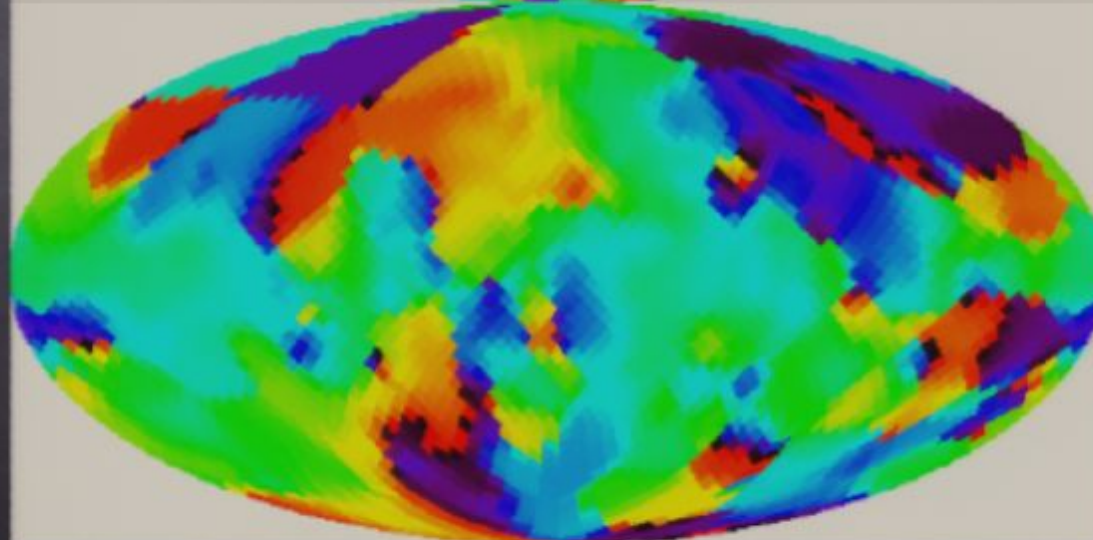
Dust directions in qualitative agreement with synchrotron  
(different dust and electron spatial distributions)

T-B: synch; Star Light; Interpolated Map

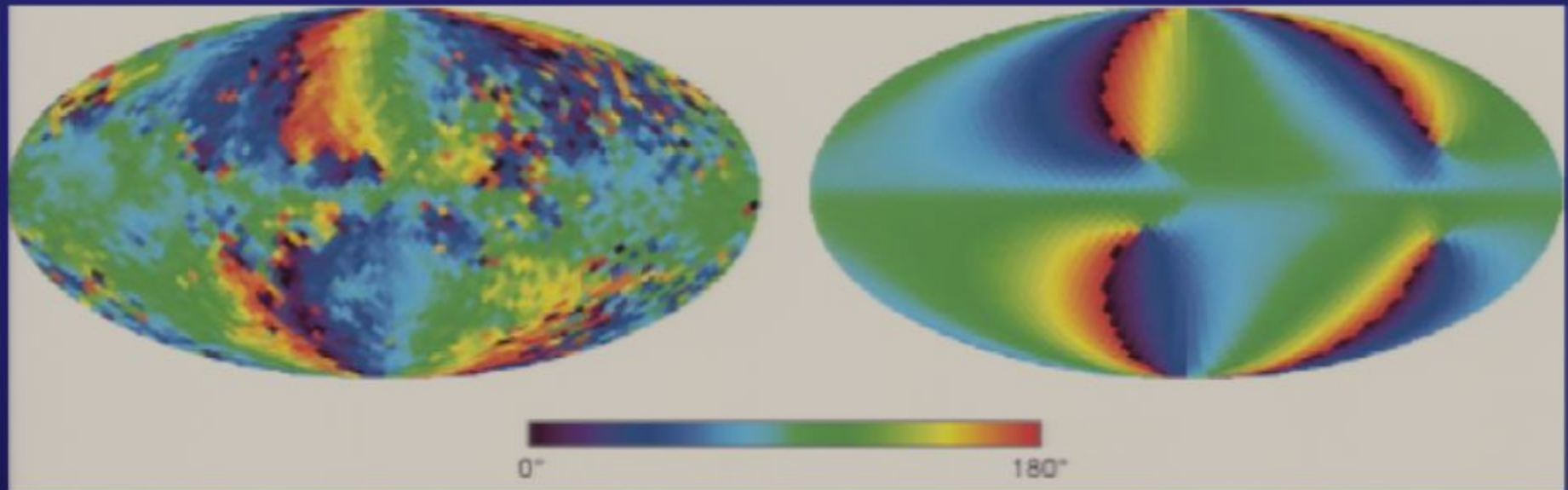
K  
polarization  
directions



Optical  
Dust  
(rotated  
90  
degrees)



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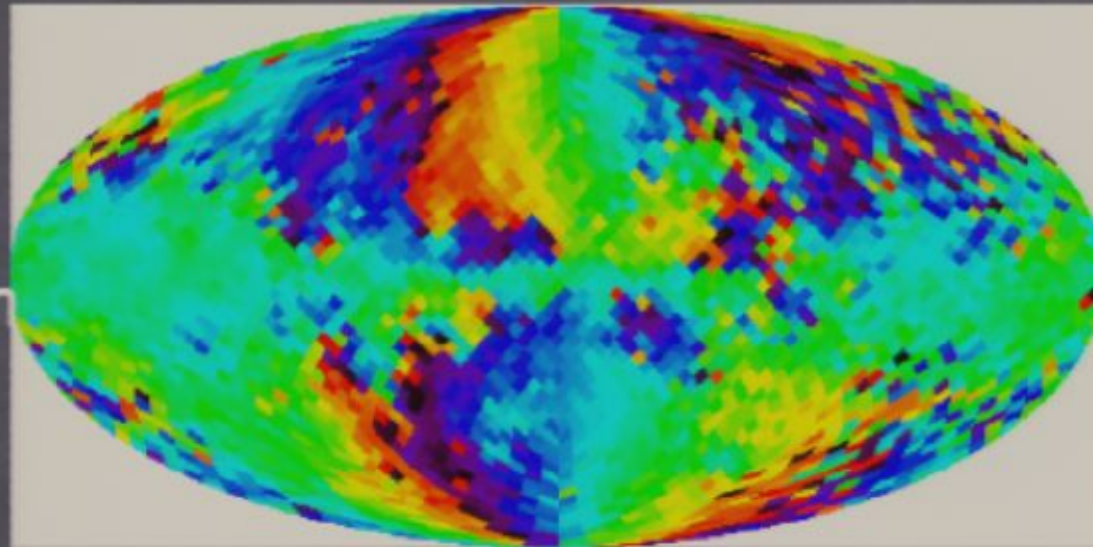
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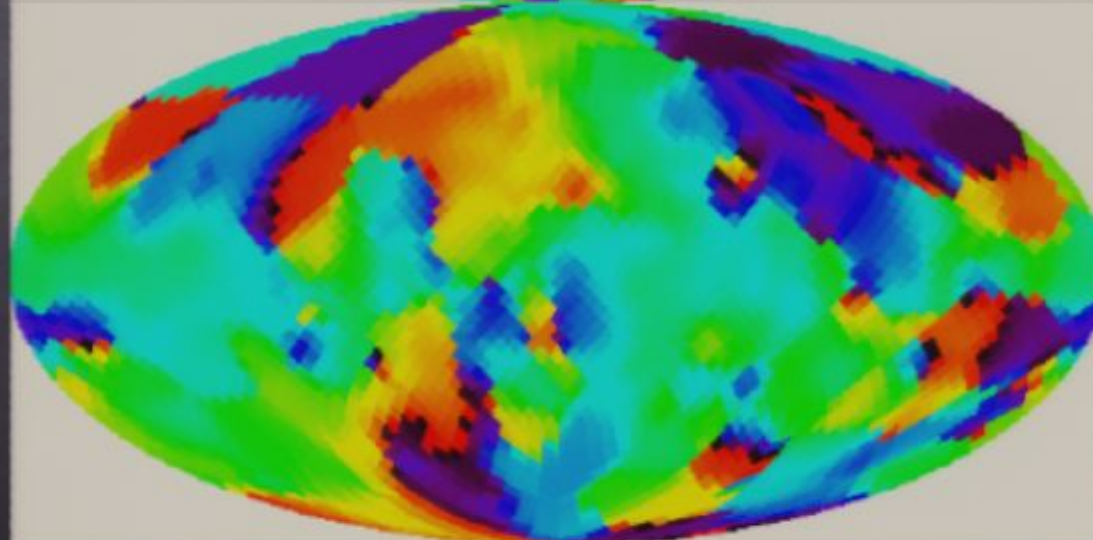
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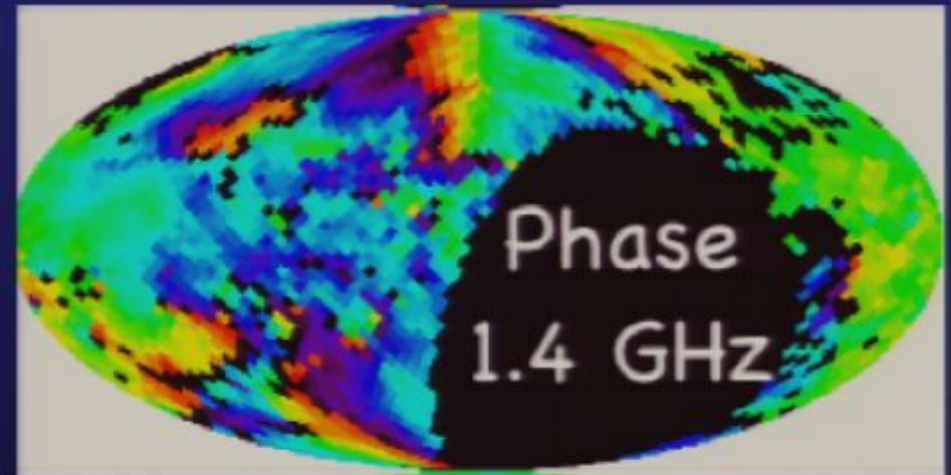
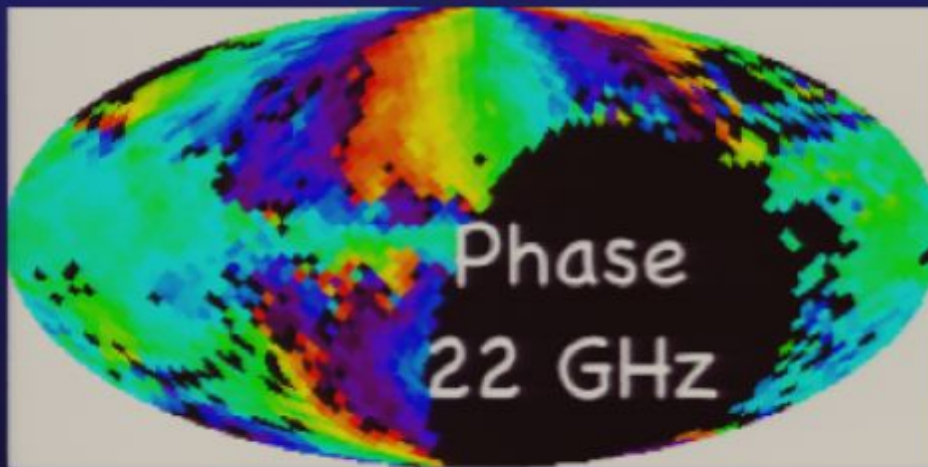


# Faraday rotation

Different handed polarizations propagate at different speeds

$$\Delta\theta \propto 1/\nu^2 \int dr n_e B_p \approx 420^\circ / \nu^2$$

DRAO survey



From rotation measures should be able to test if galactic field is symmetric. (*in progress...*)

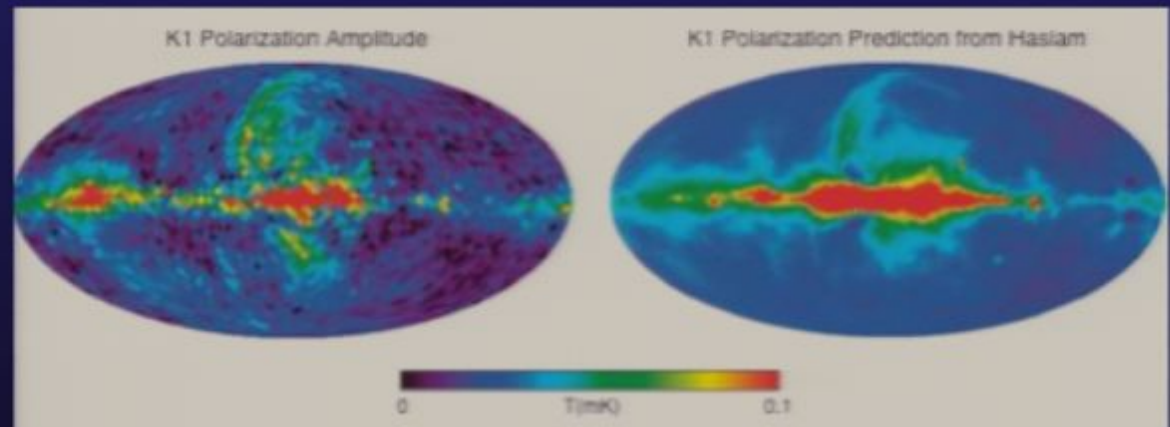
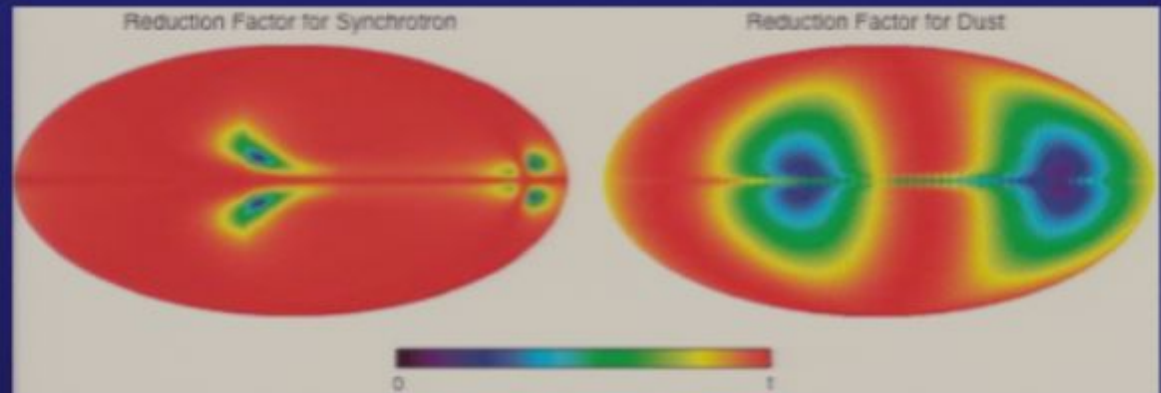
# Is it all coherent?

- o Can predict polarized K-band signal if perfectly coherent

$$P(\hat{n}) = \Pi_s g_{sync} I(\hat{n})$$

- o Incoherent field reduces net polarization

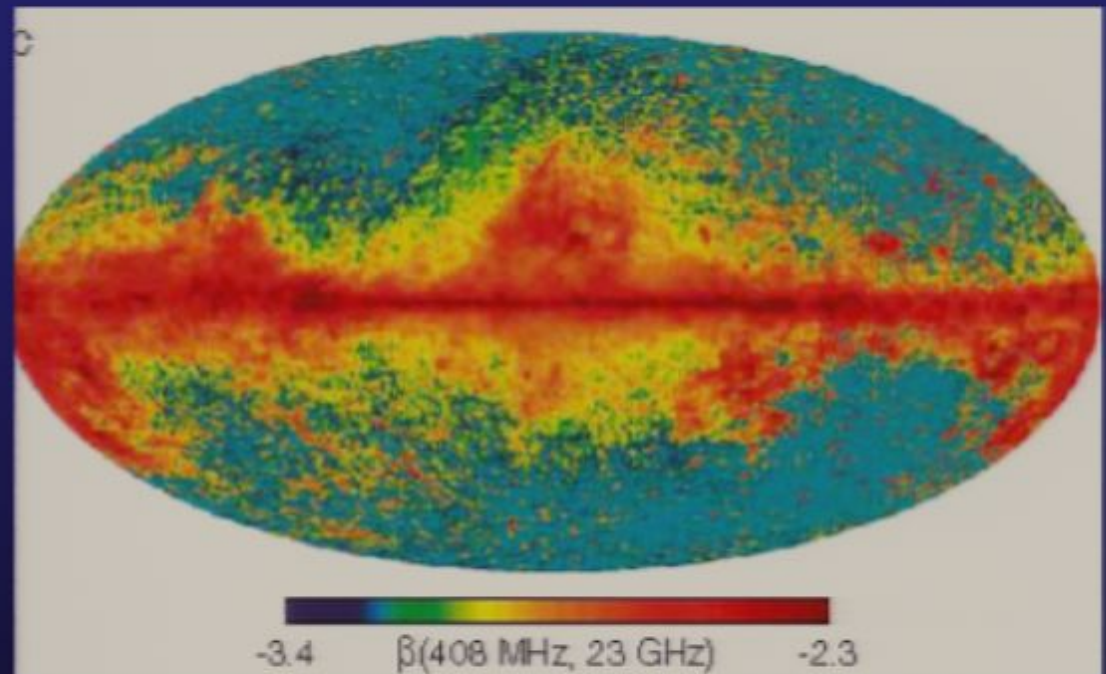
- o Need 50% reduction to fit Haslam data:  
*Must be large amount of small-scale turbulent field*



$$g_{sync}(\hat{n}) = \frac{\sqrt{Q^2(\hat{n}) + U^2(\hat{n})}}{\Pi_s I(\hat{n})}$$

# Tracking down the electrons

- o Spatial variation of synchrotron spectral index tells us about electron injection and diffusion
- o Index is *still* a source of uncertainty, due to possible spinning dust confusion



Bennett et al 2003 (WMAP1)

- > *Polarization helps!*
- > *A single index ( $\beta = -3.3$ ) fits the WMAP 3yr pol data well, away from plane*

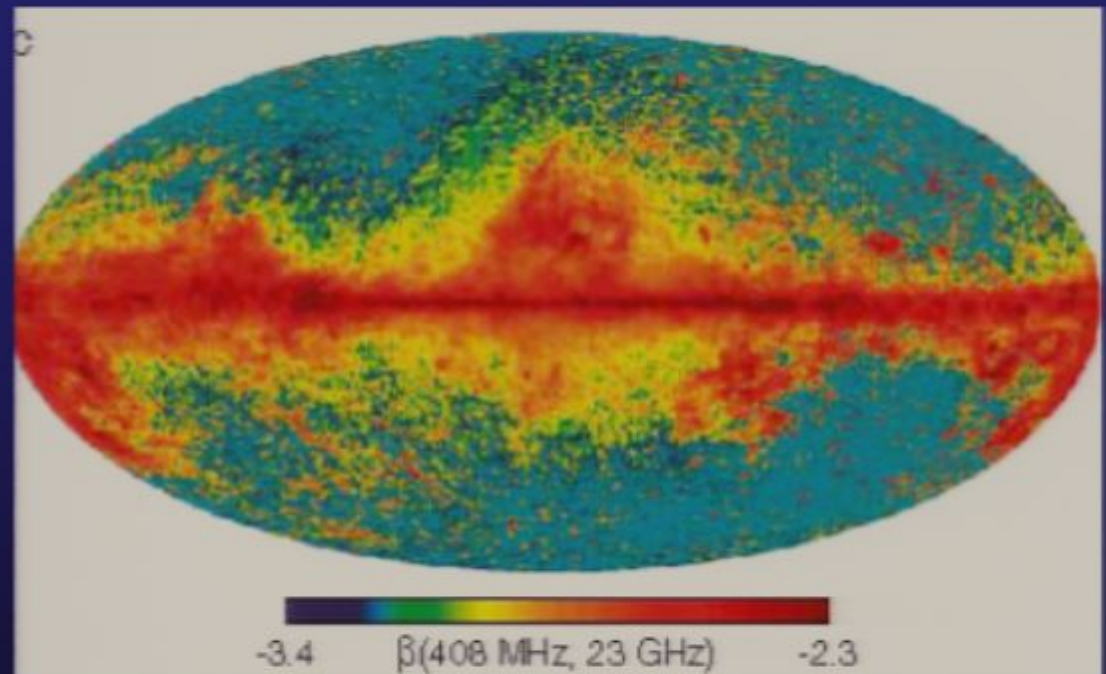
# What new astrophysics can we learn?

*WMAP in conjunction with radio surveys and optical starlight:*

- o What is the coherent field?
  - Polarization directions and rotation measures (RMs) between WMAP and lower frequency surveys
- o What is the turbulent field?
  - fractional polarization.
  - starlight correlation.
  - Is it connected to star-forming regions
- o Where are the electrons injected and with what energy distribution?
  - synchrotron spectral index measurements
- o How do they cool and diffuse?
- o How much do dust grains align with B-field?
- o \*\*Is there any emission from spinning dust?
  - combining temperature and polarization measurements at low frequency

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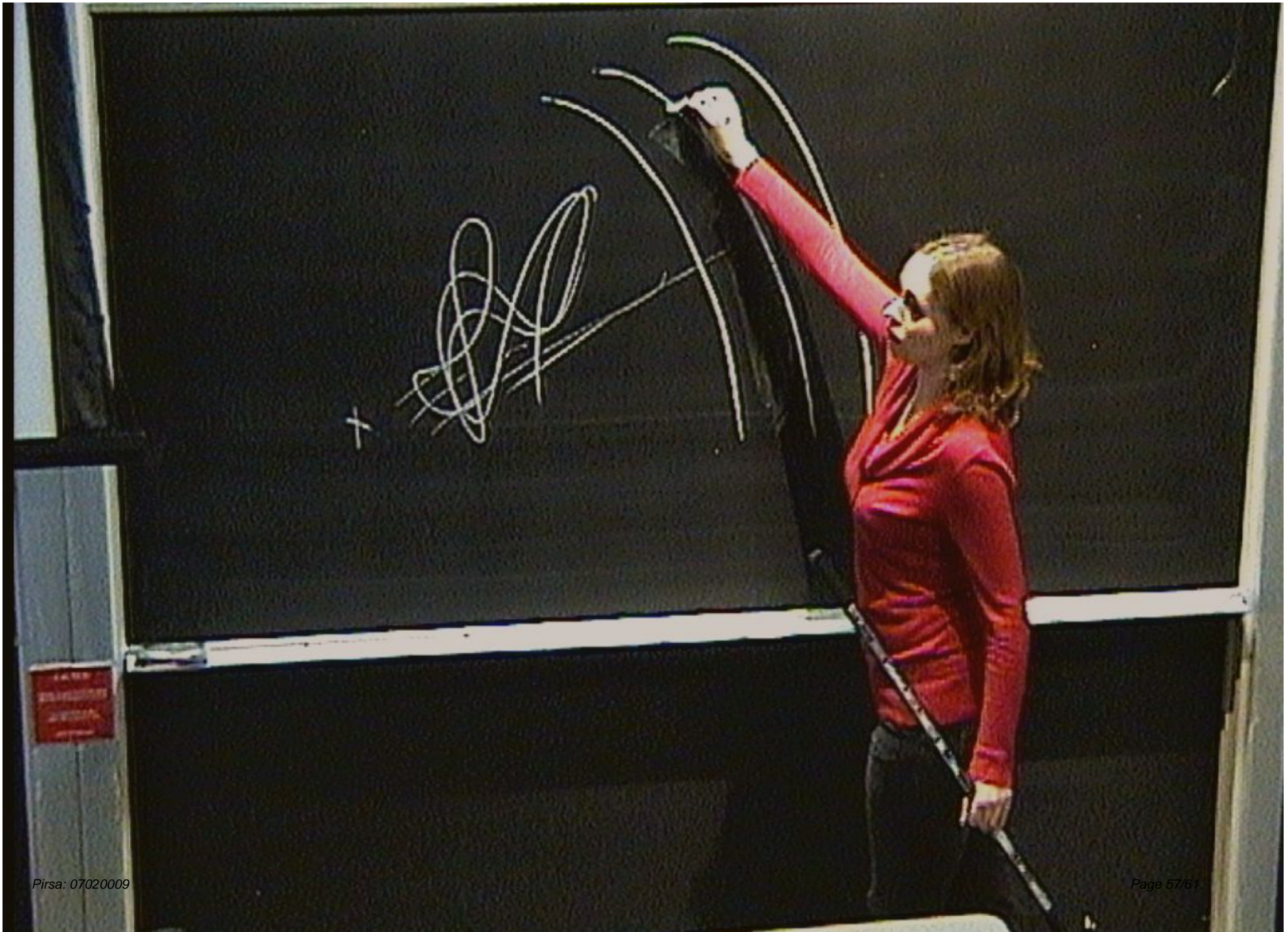
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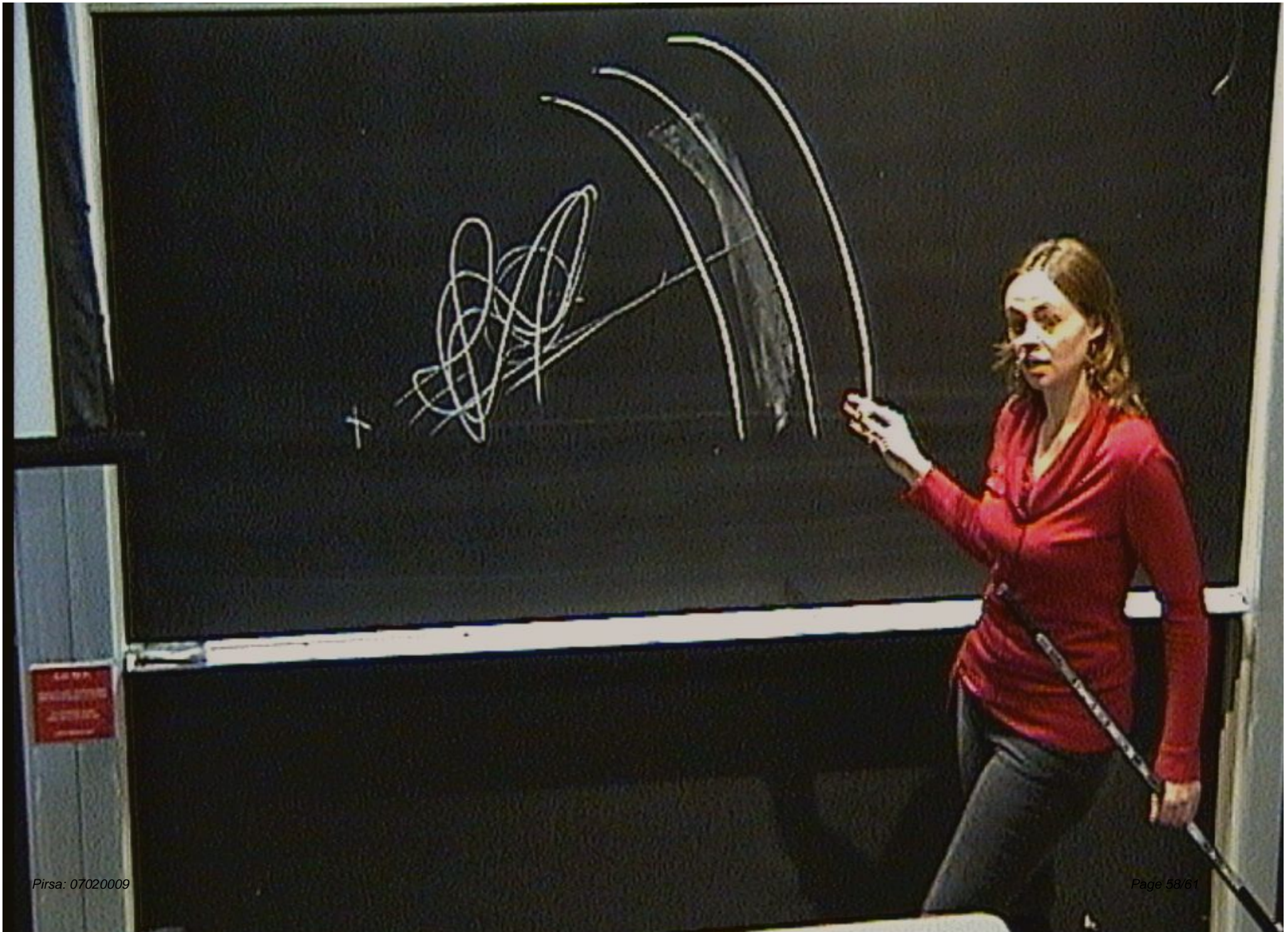
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# How will we apply our knowledge?

- o Model informs us on the simplest way to characterize polarized emission
  - spatial and frequency variation of indices
  - polarization directions and fractions
  - expect consistent integrated temp and pol?
- o Identify regions with low Galactic polarization
- o Understand where we can safely include lower frequency measurements







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# Summary

*Convincing evidence for inflation will come with a detection of primordial gravitational waves. Understanding the polarized emission from our galaxy is vital if we are to succeed in this task.*

- o The CMB and other cosmological datasets have so far passed tests for inflation. The polarized CMB B-mode is the next goal.
- o Polarized galactic emission dominates the CMB signal at all frequencies.
- o Microwave data provides a new way to measure the galactic B-field, without contamination by Faraday rotation. A partially coherent spiral model fits the data well.
- o An improved understanding of the magnetic field, cosmic ray electrons and dust in the Milky Way will be crucial if we are to really test inflation.