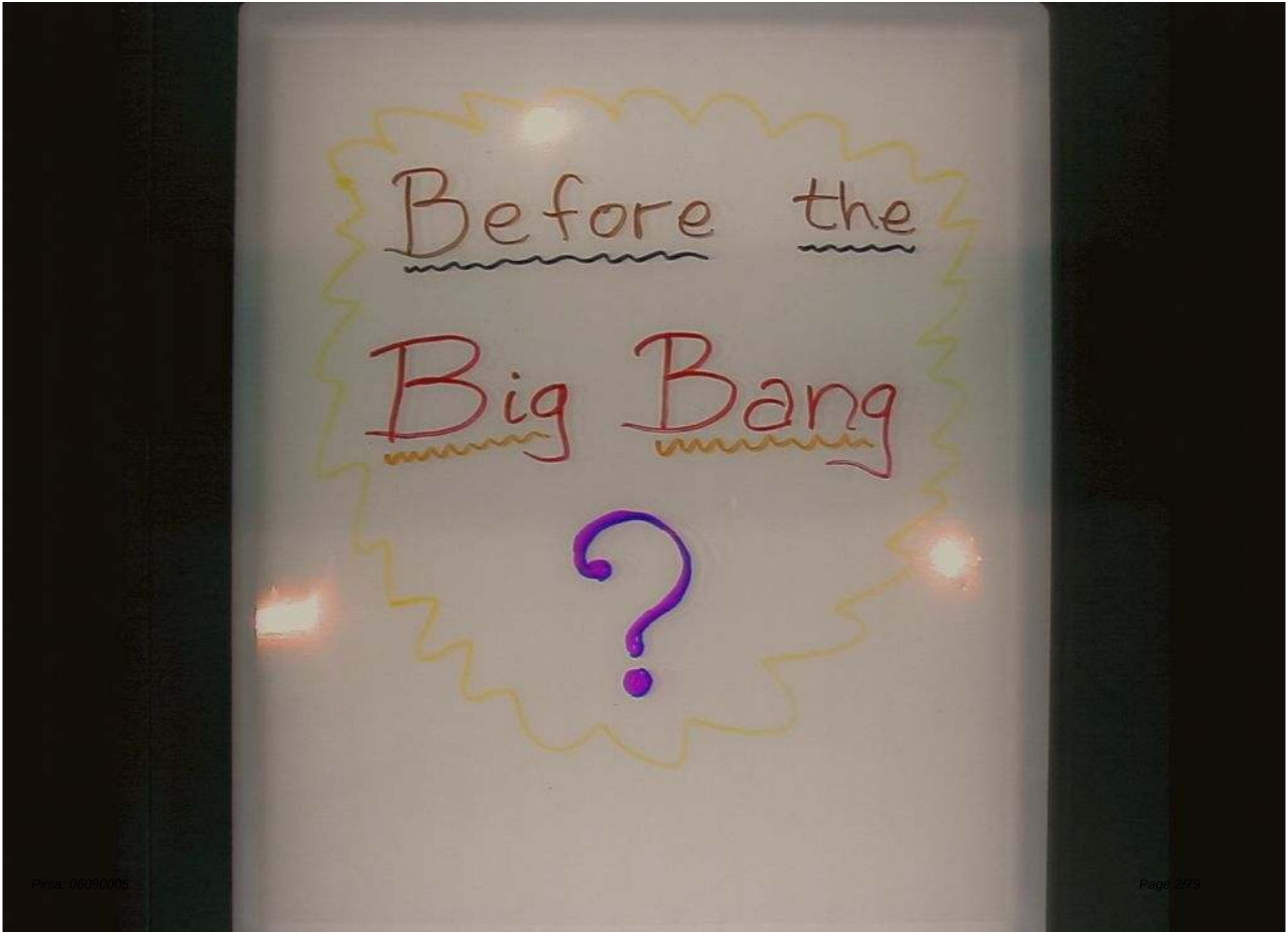
Title: Before the Big Bang: an Outrageous Solution to a Profound Cosmological Puzzle

Date: Sep 12, 2006 02:00 PM

URL: http://pirsa.org/06090005

Abstract:


Before the
Big Bang
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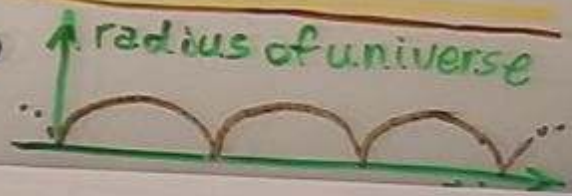
Before the Big Bang?
Some earlier (crazy?) ideas

Friedmann $k>0$
cyclic model



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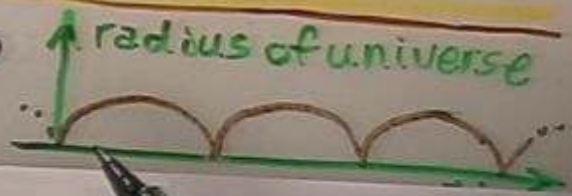

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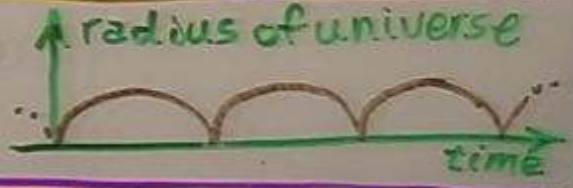

Modifications: Tolman – each cycle changed from previous
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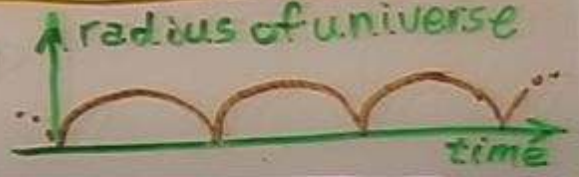

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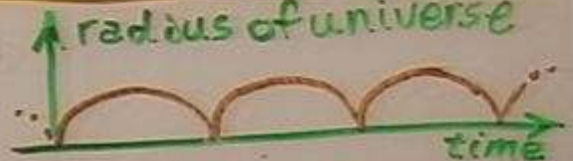

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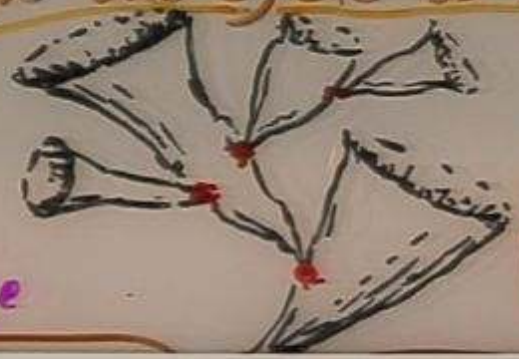

(Geometry doesn't fit....)

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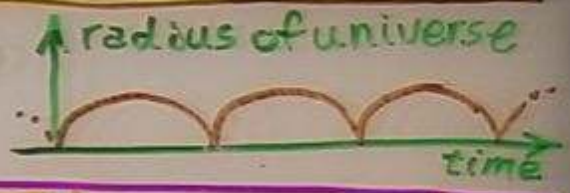

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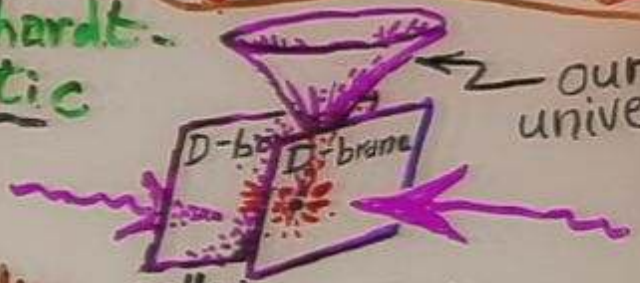
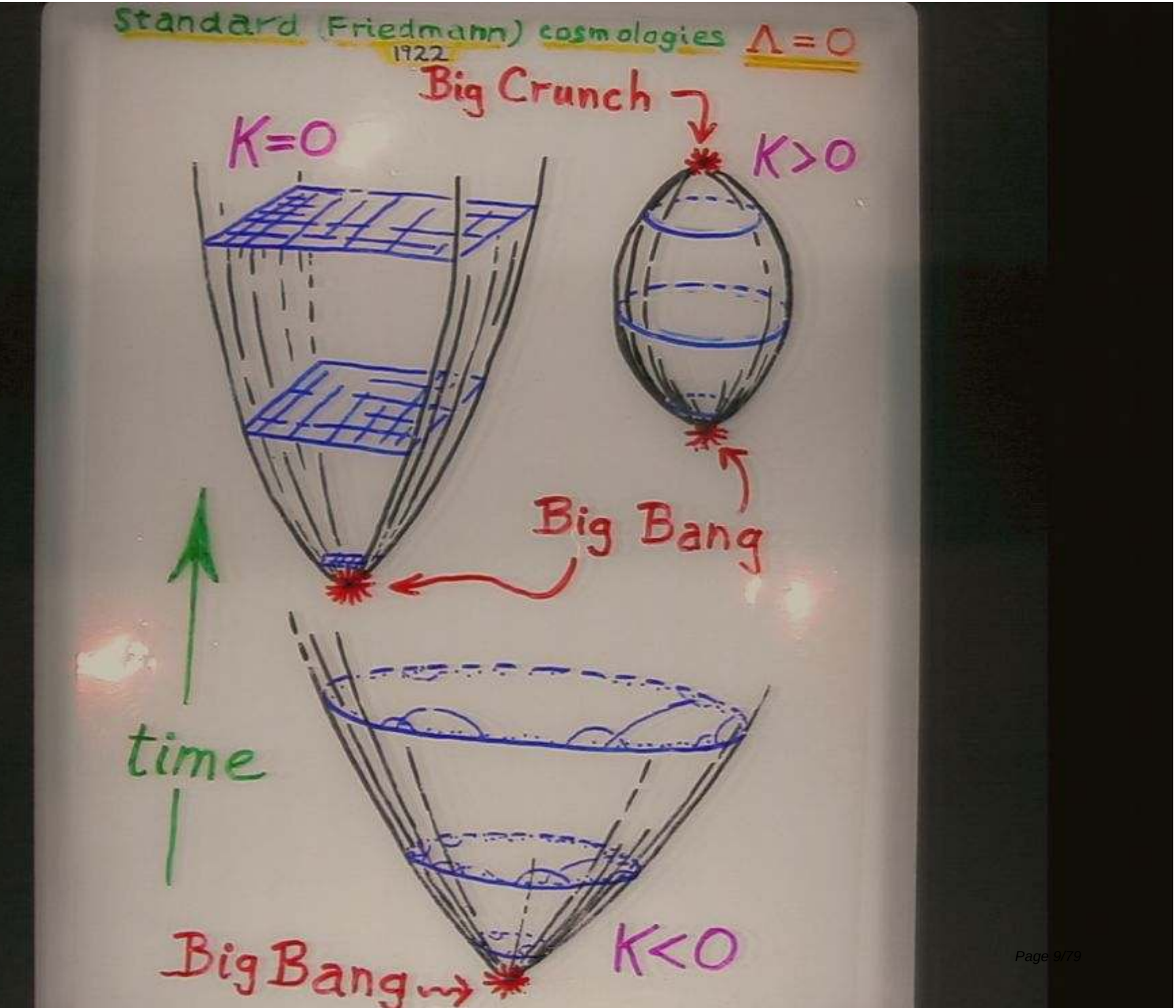
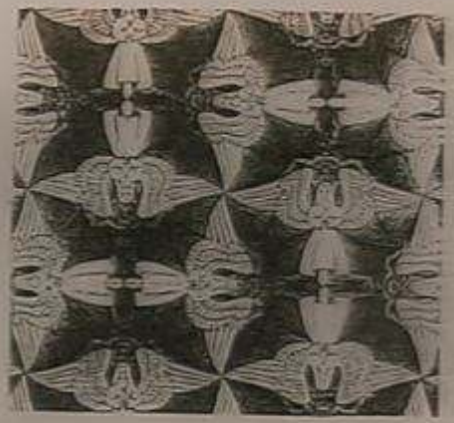
Turok-Steinhardt... Ekpyrotic

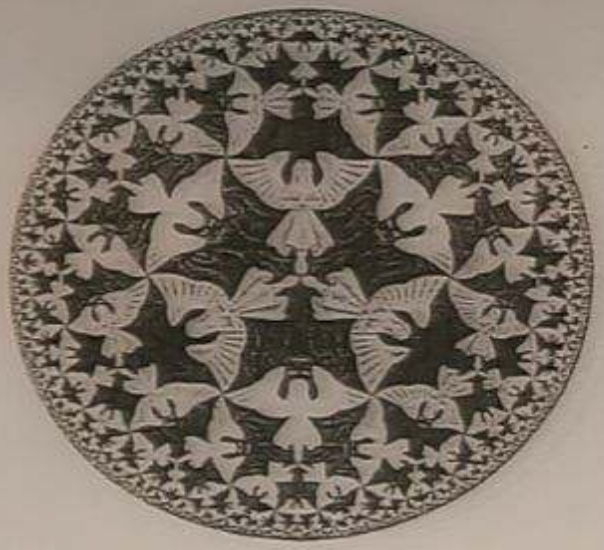


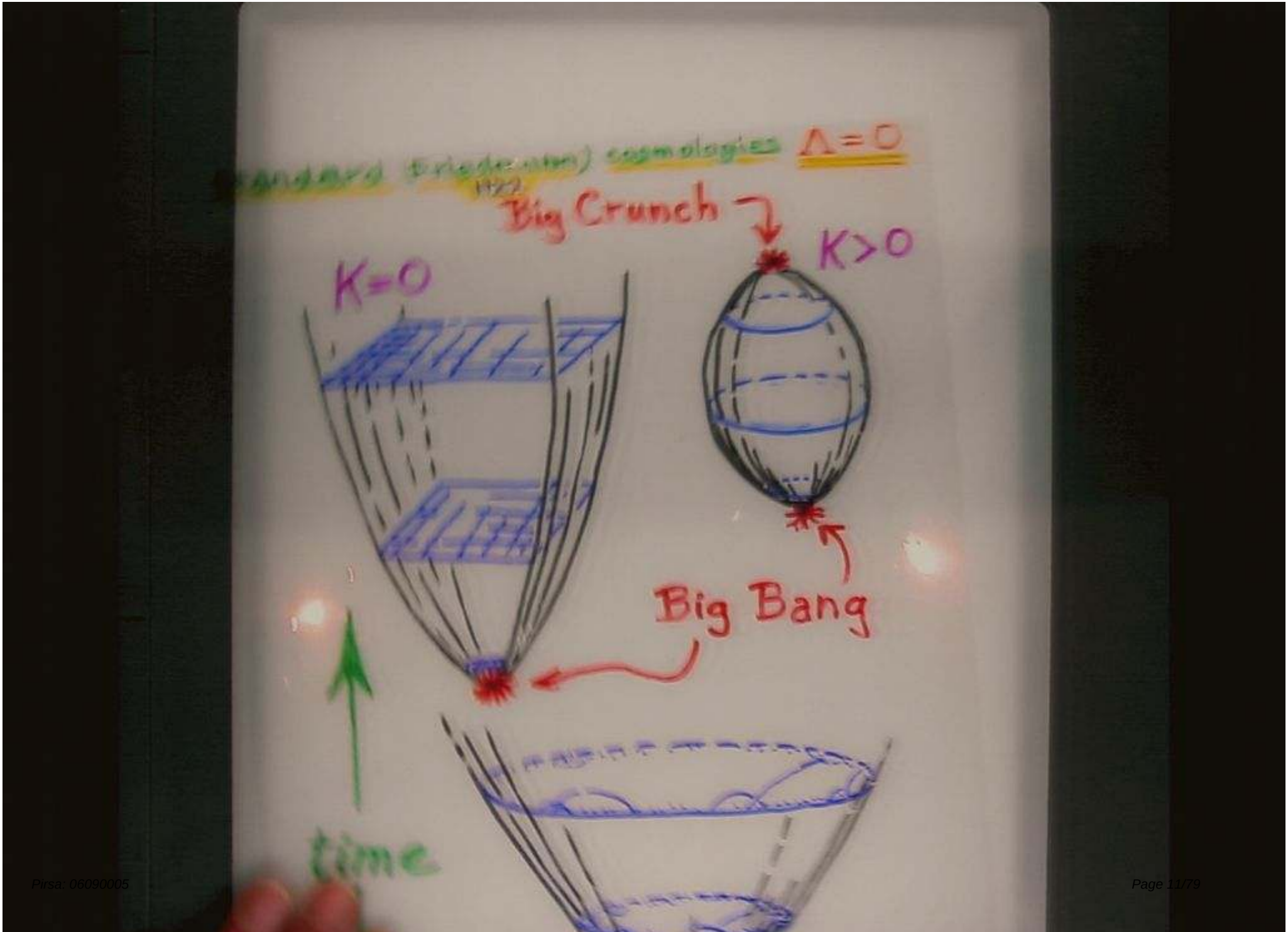
stringy... need to believe in extra (stringy) dims

Veneziano ... (then Steinhardt-Turok) maybe closest to my idea?


Standard (Friedmann) cosmologies Λ=0
1922
Big Crunch
K=0
K>0
Big Bang
time
Big Bang
K<0



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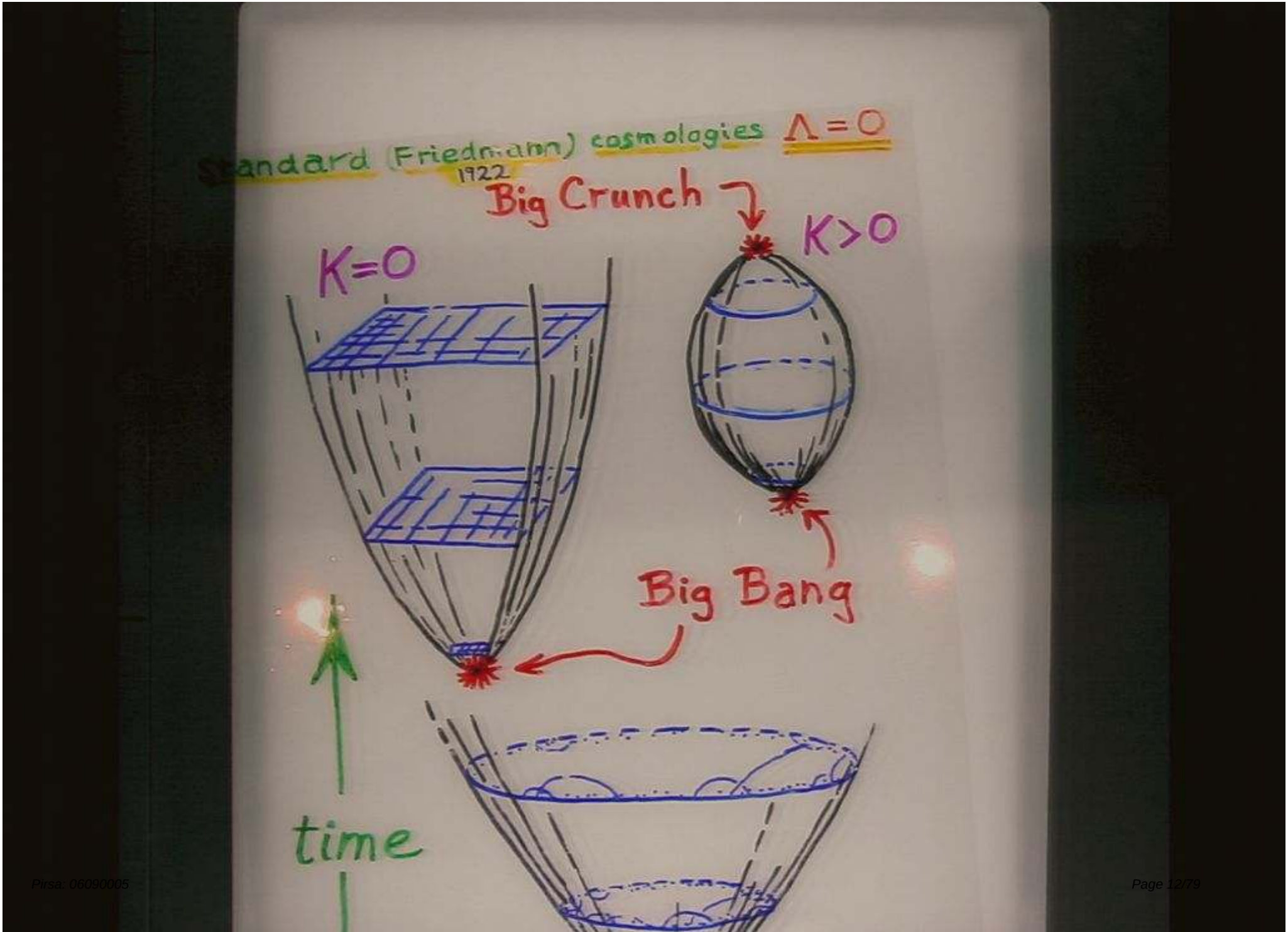
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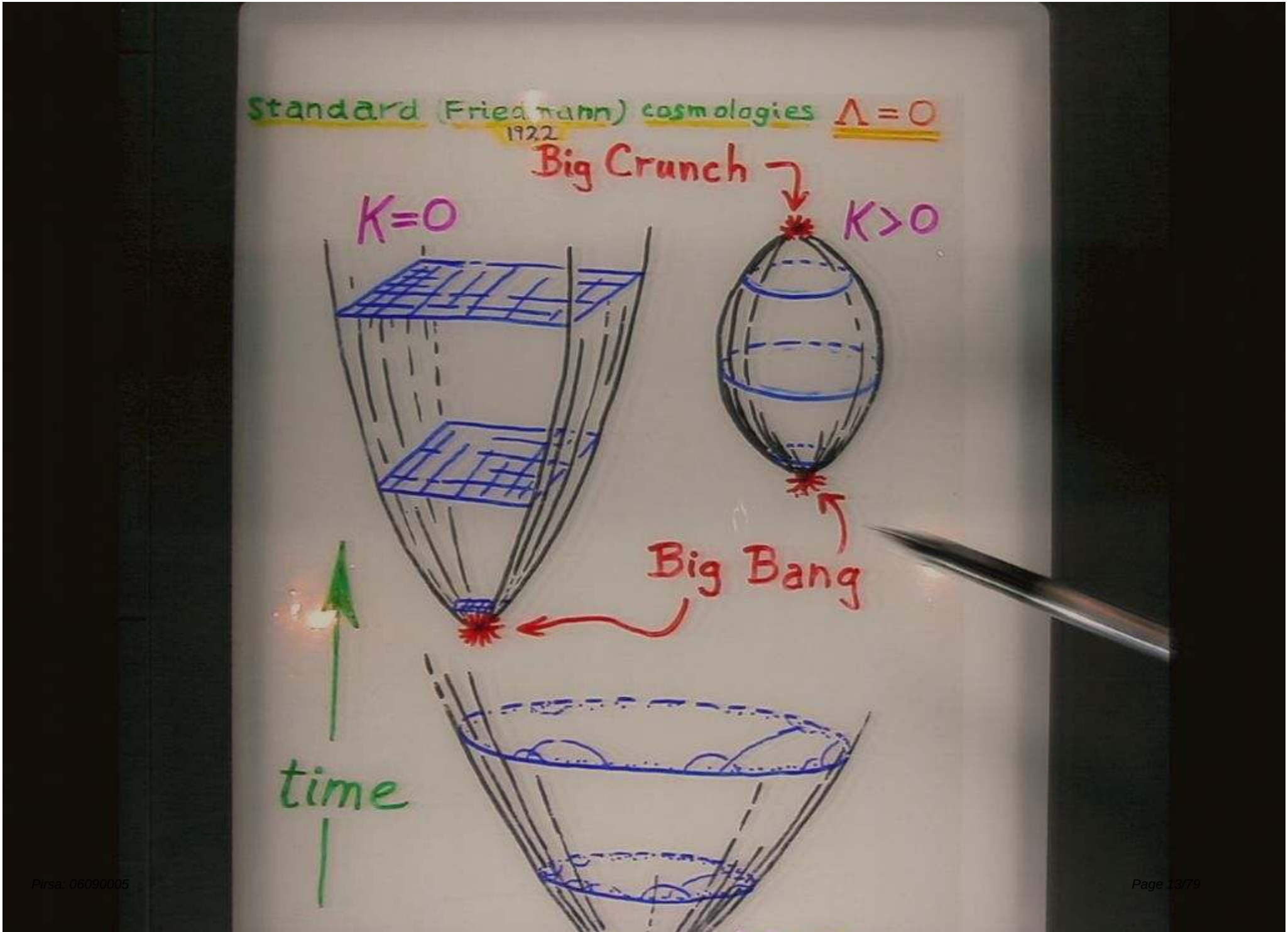
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The 2nd law of thermodynamics

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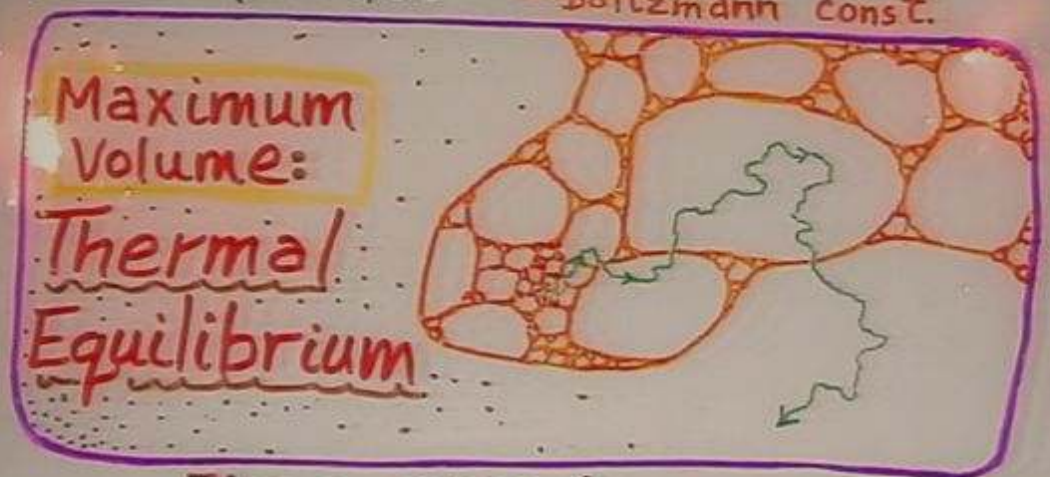
Entropy: $S = k \log V$ increases

V = vol. in phase space

Boltzmann const.



Phase space (coarse-grained)

S entropy

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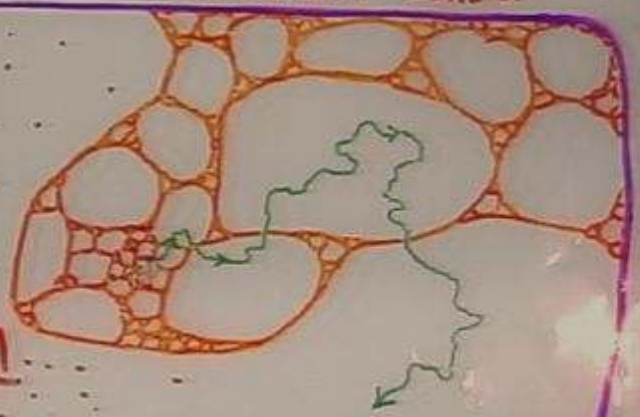

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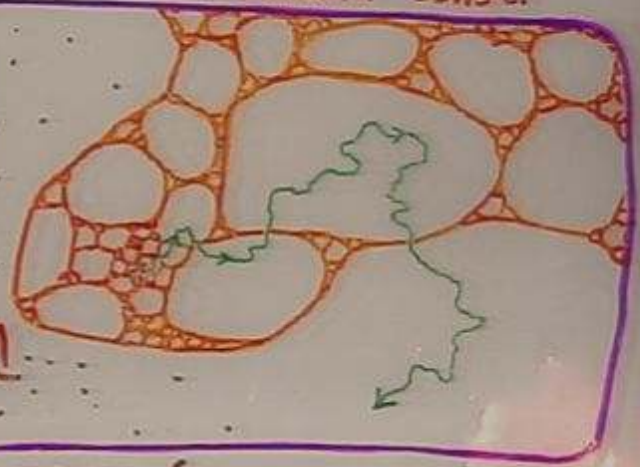

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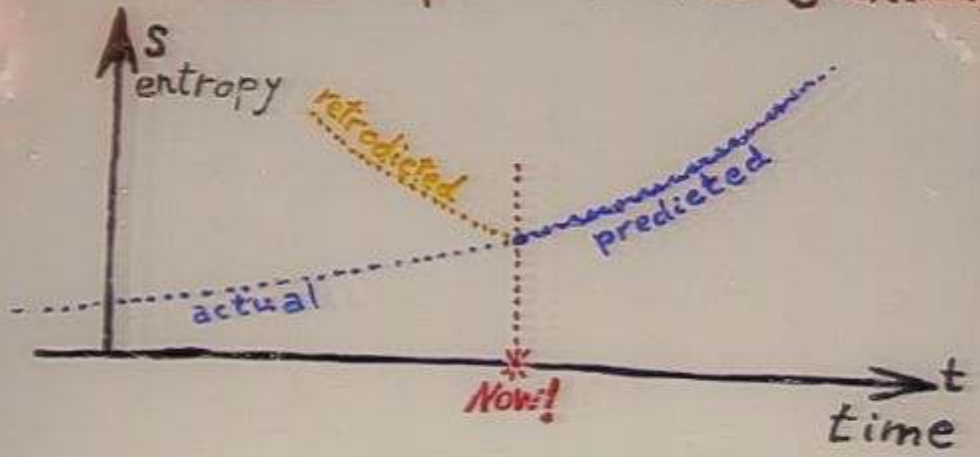

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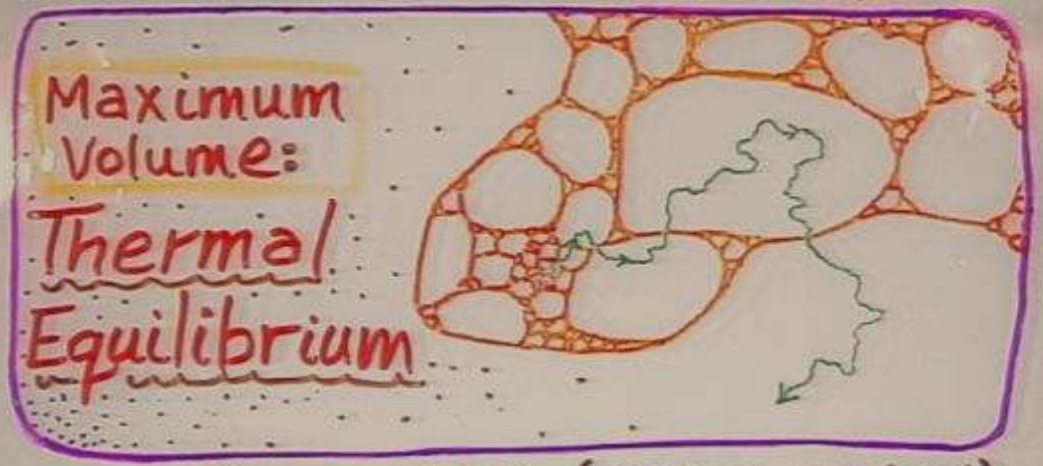

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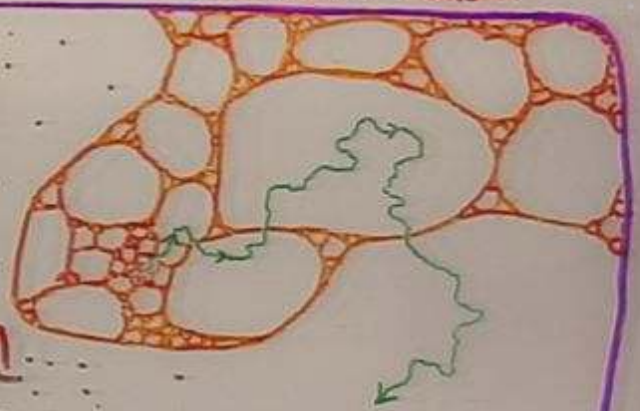

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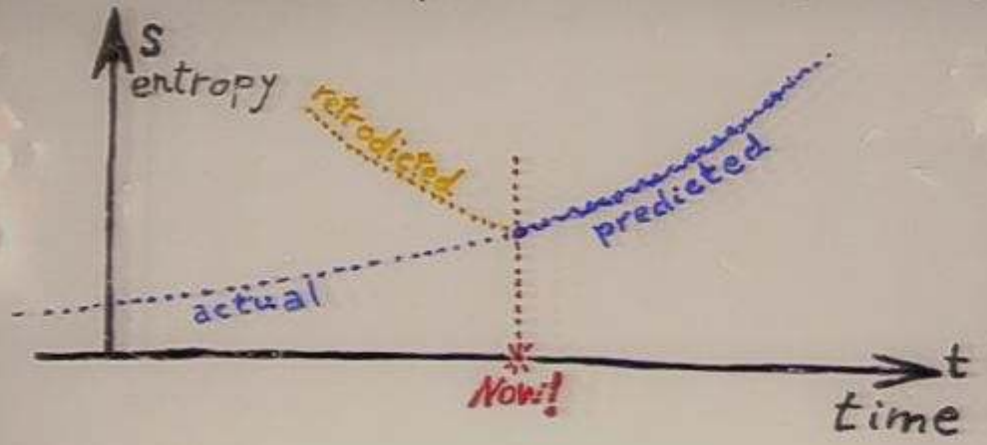

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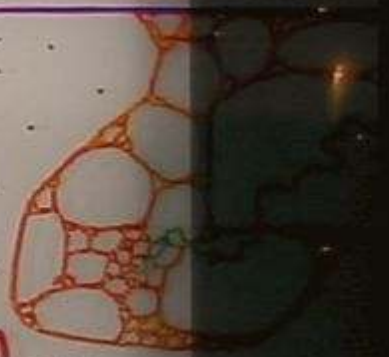

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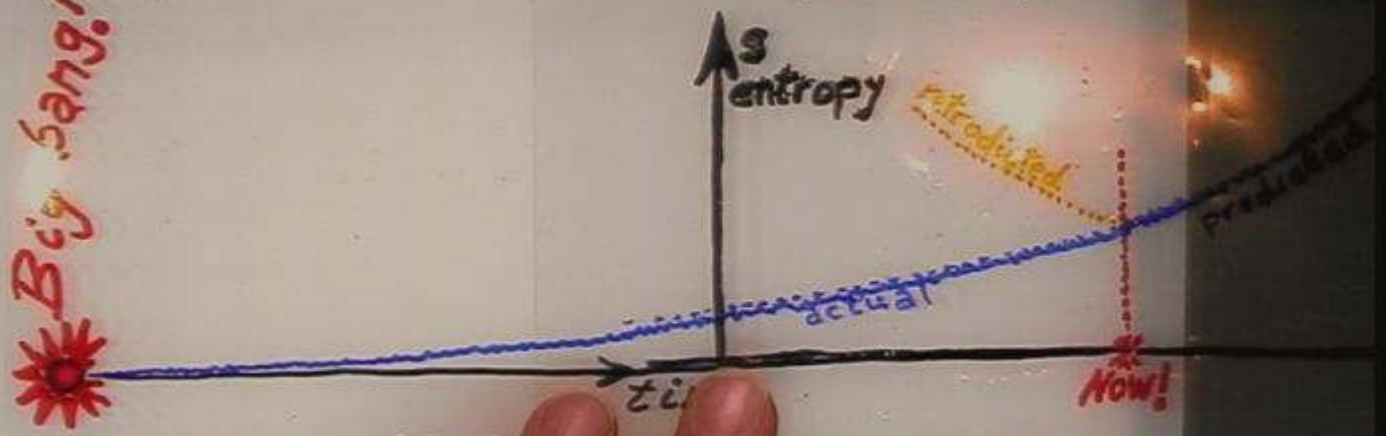

To ensure that the entropy continues to go down in the past we need an enormous compression of the space-time geometry

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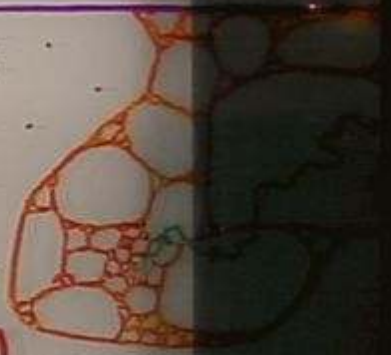

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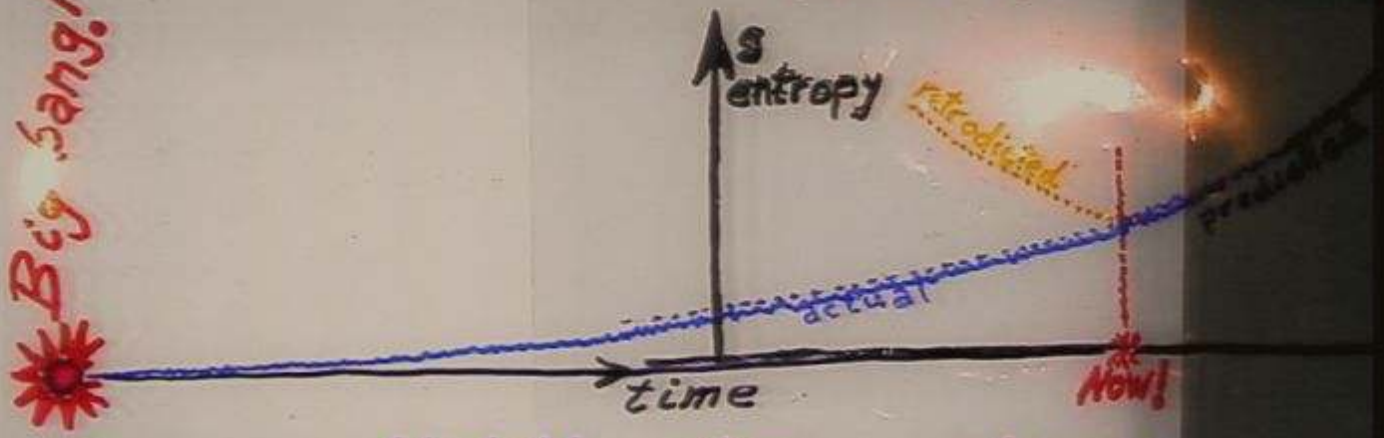

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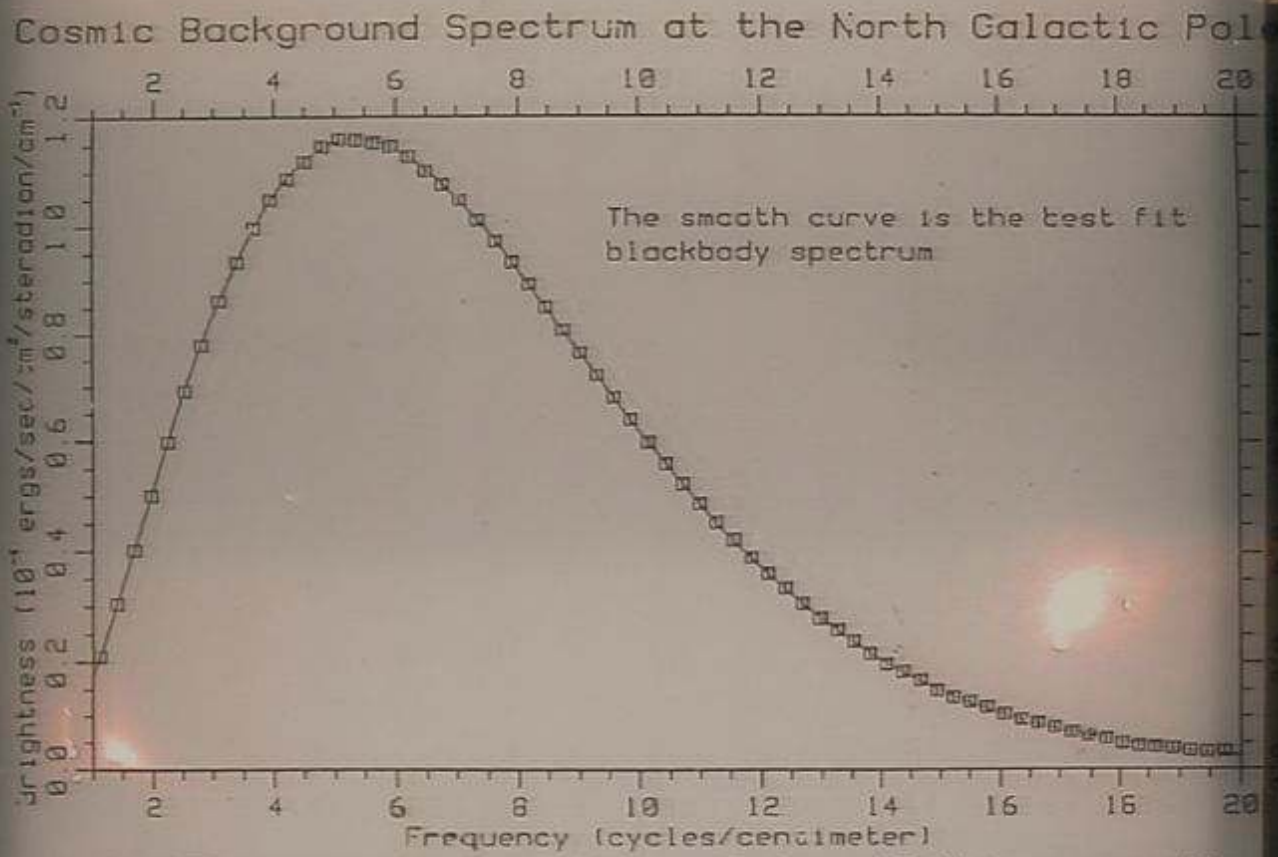

FIG. 9. The spectrum of the Cosmic Microwave Background Radiation as measured by the COBE satellite in the direction of the North Galactic Pole. Within the quoted errors, the spectrum is that of a perfect black body at radiation temperature 2·735 ± 0·06 K (Mather *et al.* 1990).

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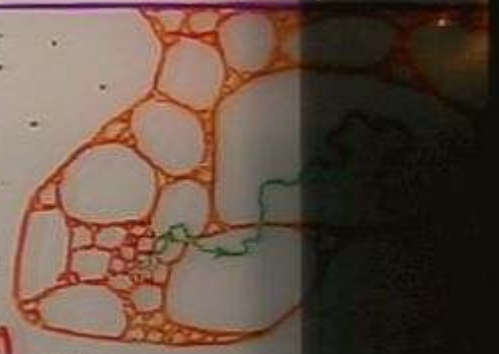
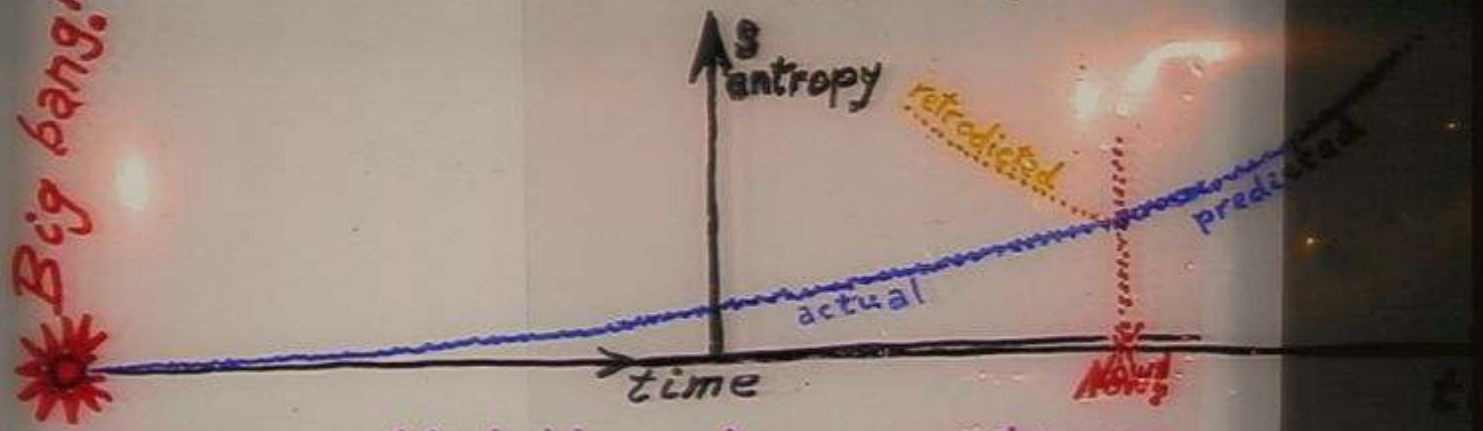


Phase space (coar



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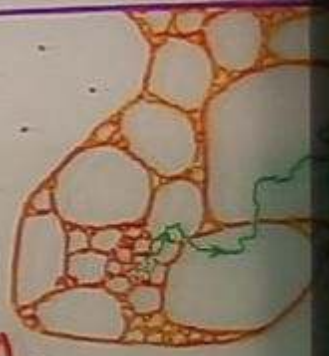

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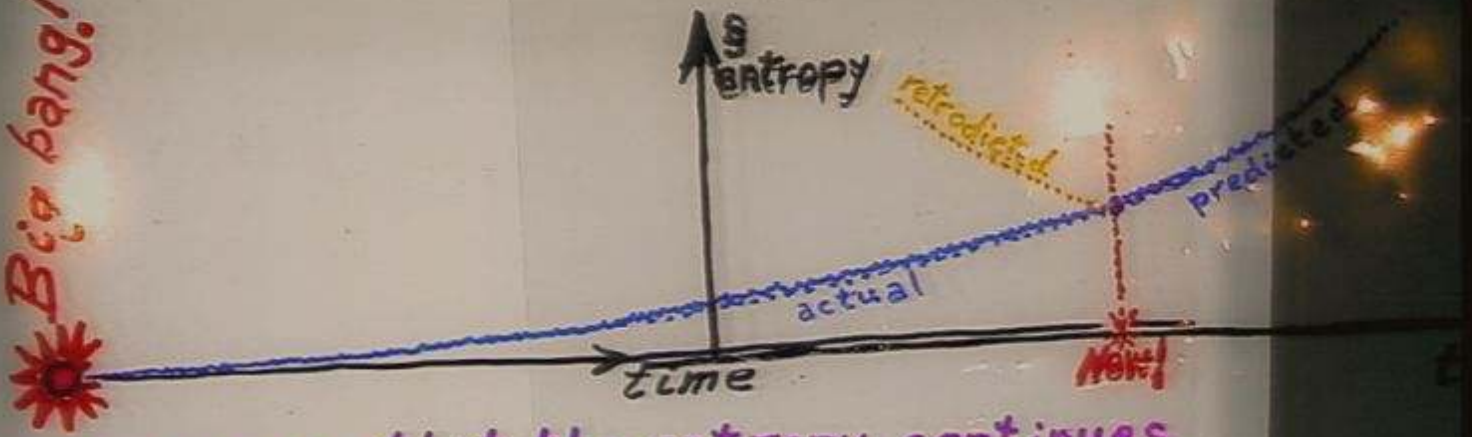

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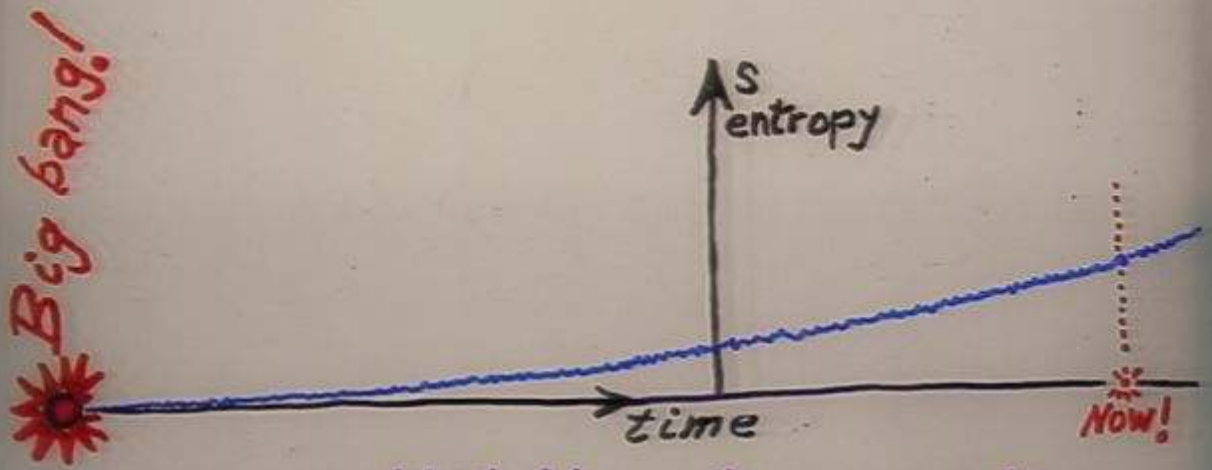

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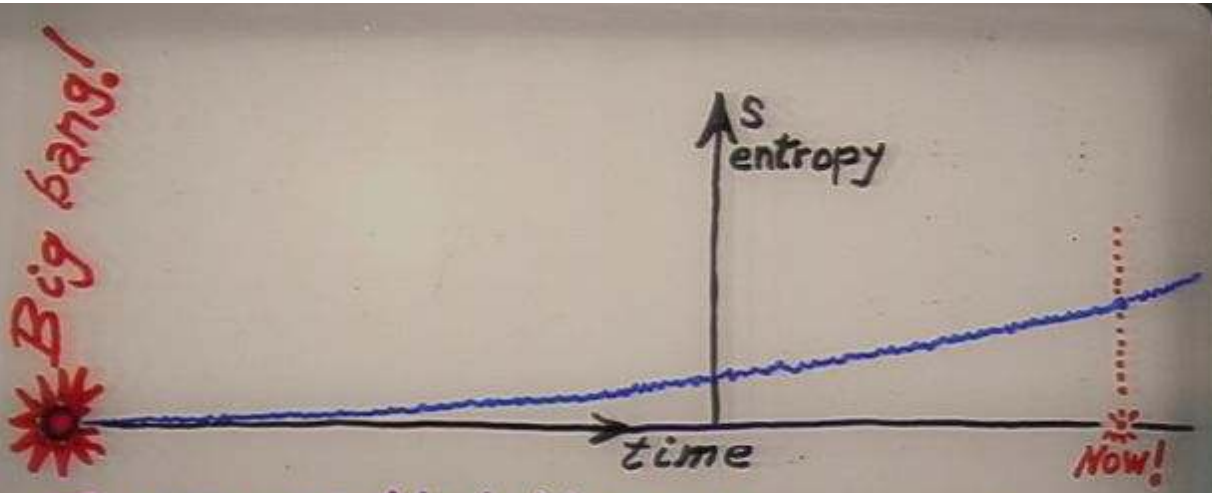
Conformal curvature ≈ 0

Why on the geometry?

Because the matter itself was apparently in a *thermal state* (= maximum entropy) to get agreement with observation.

How do we estimate the contribution of the geometry?

How enormous is (was!) this



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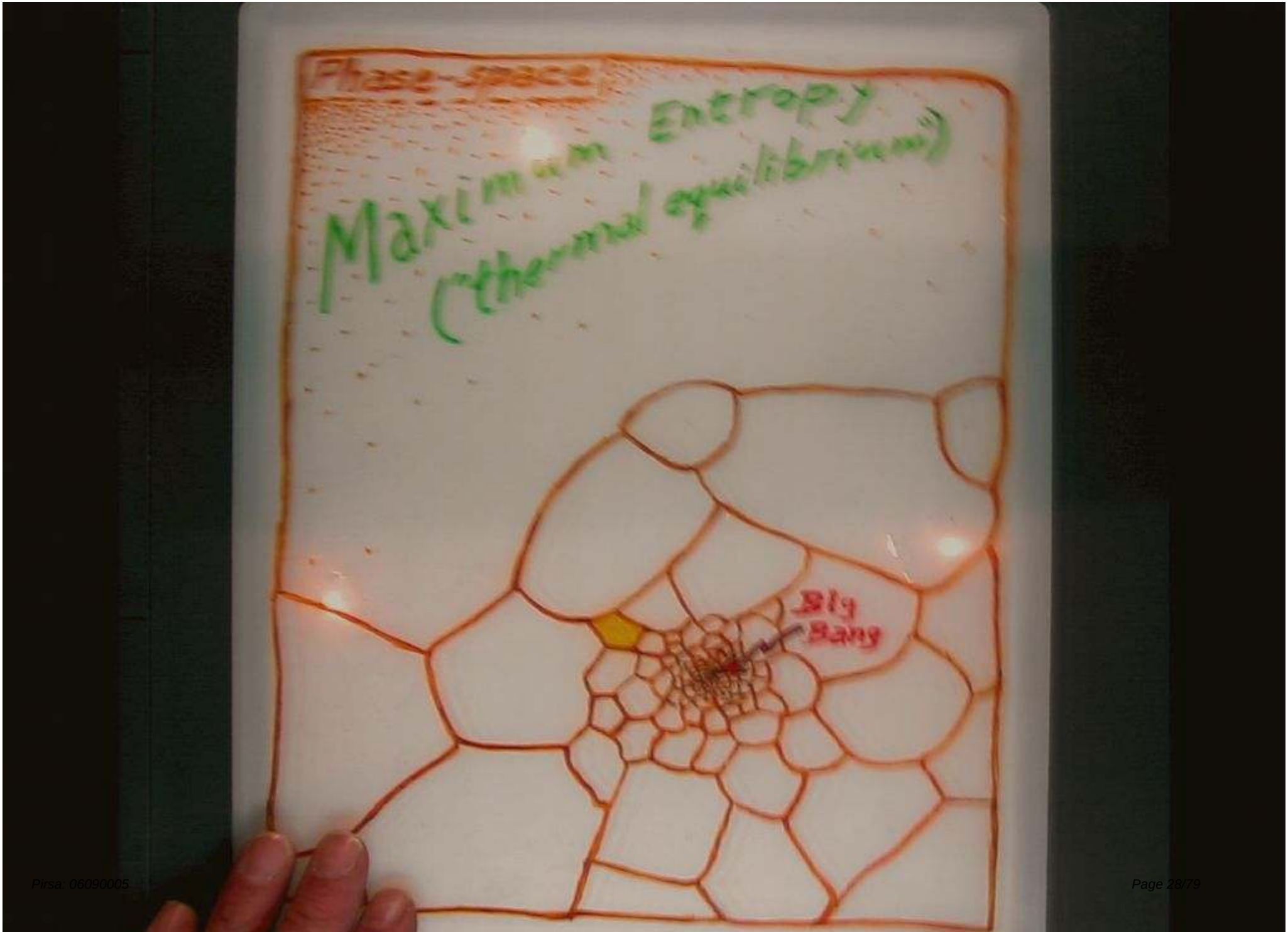
Phase-space
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Big
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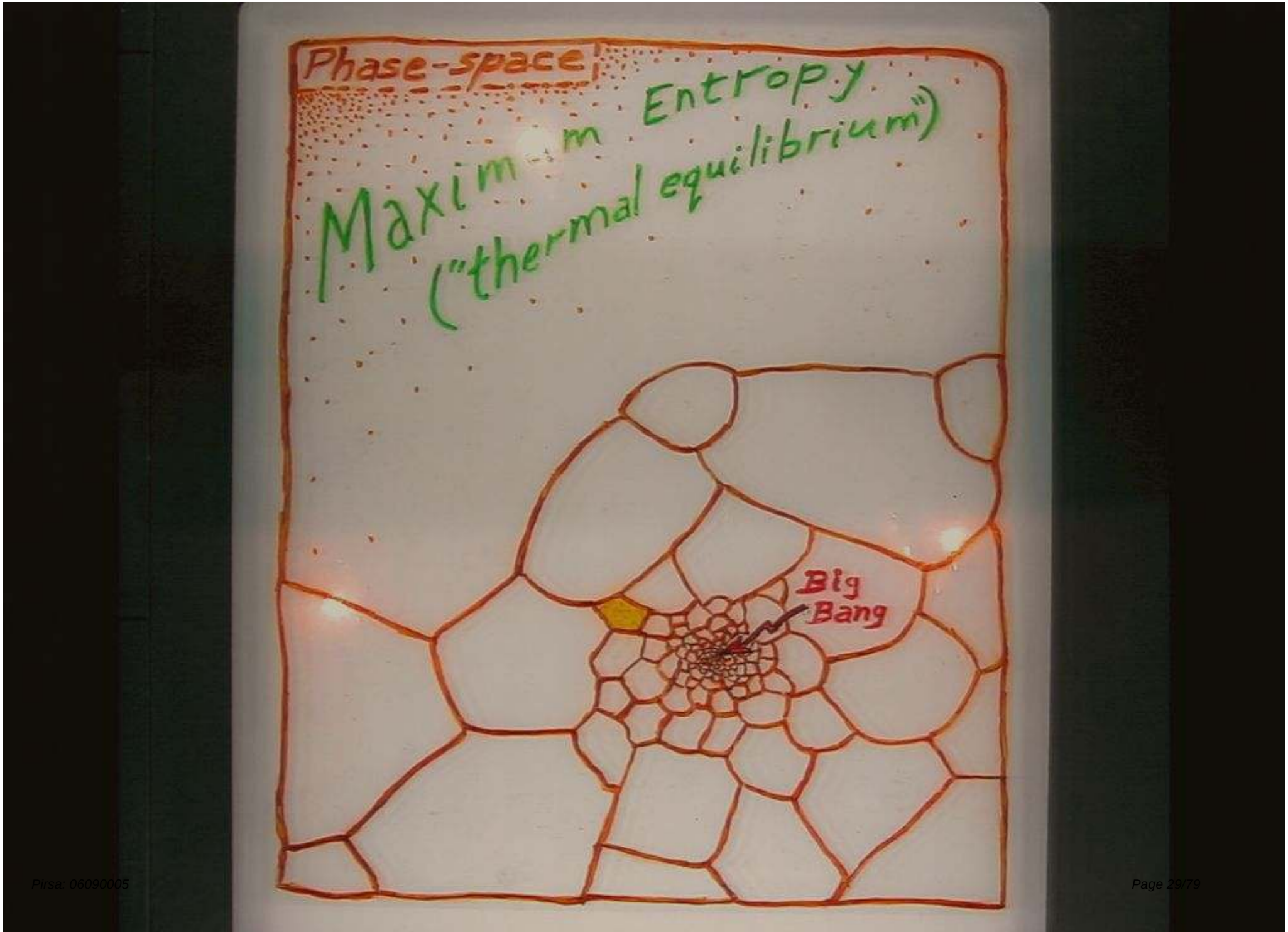
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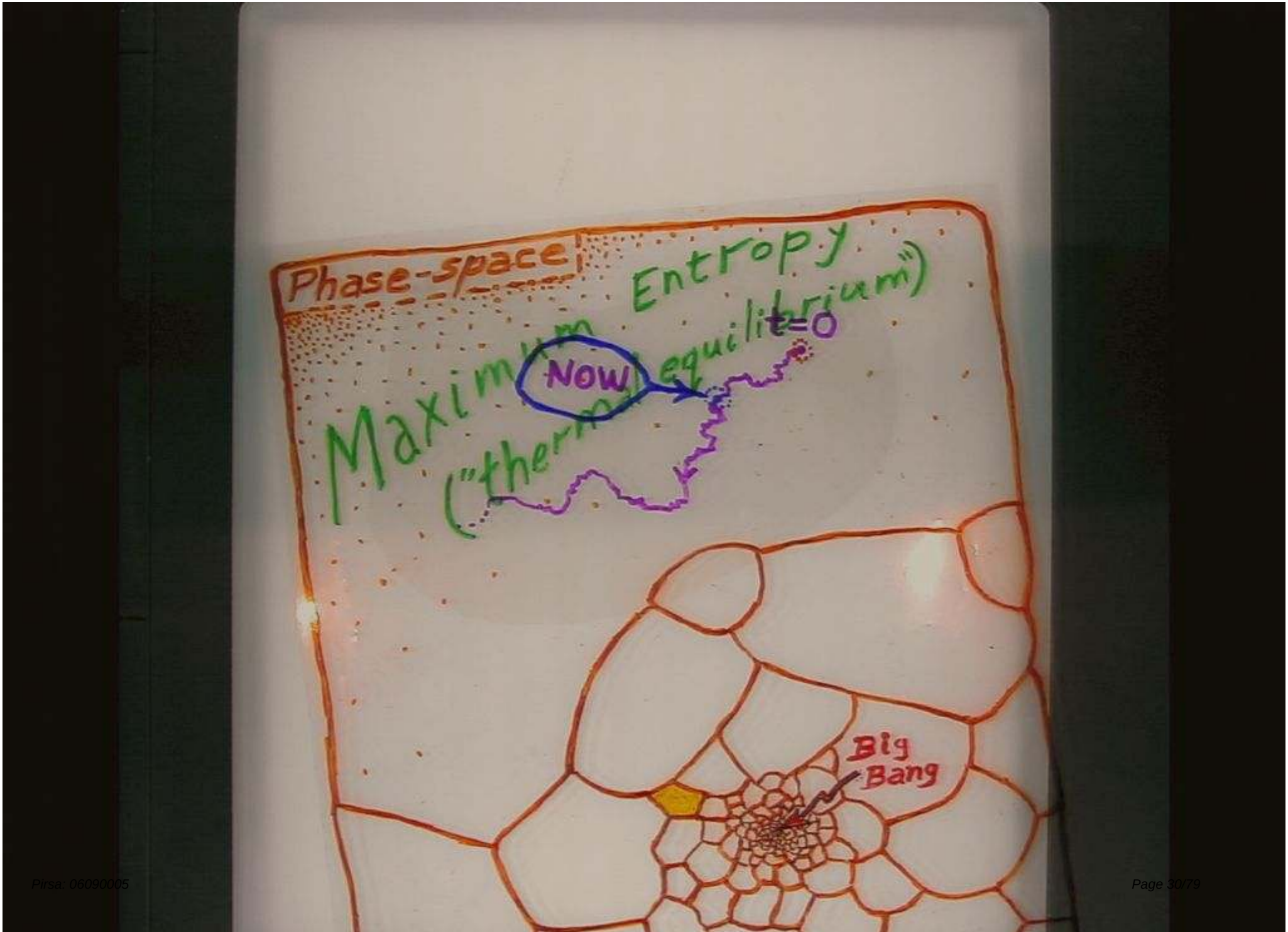
Phase-space
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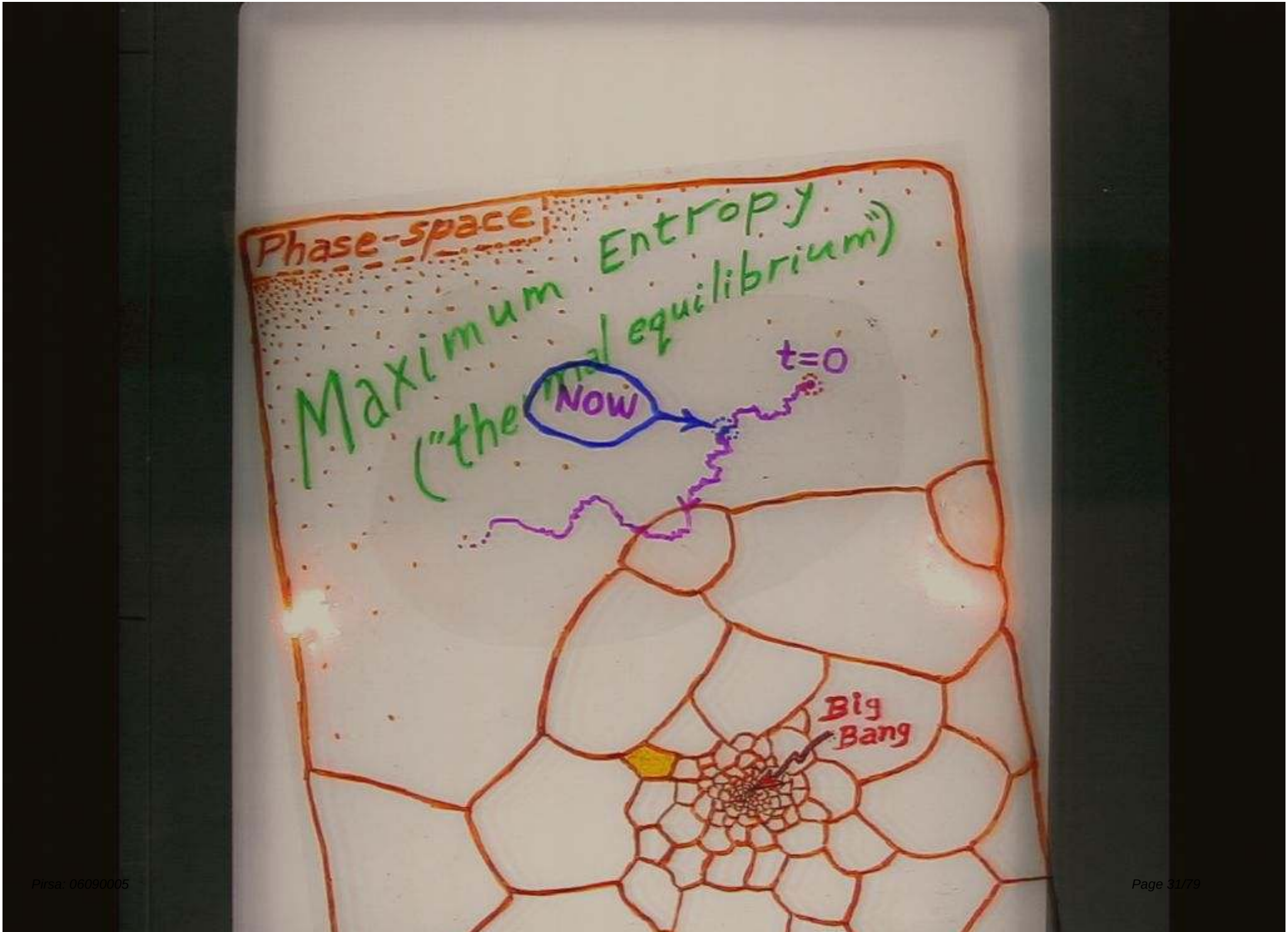
Now
t=0
Big Bang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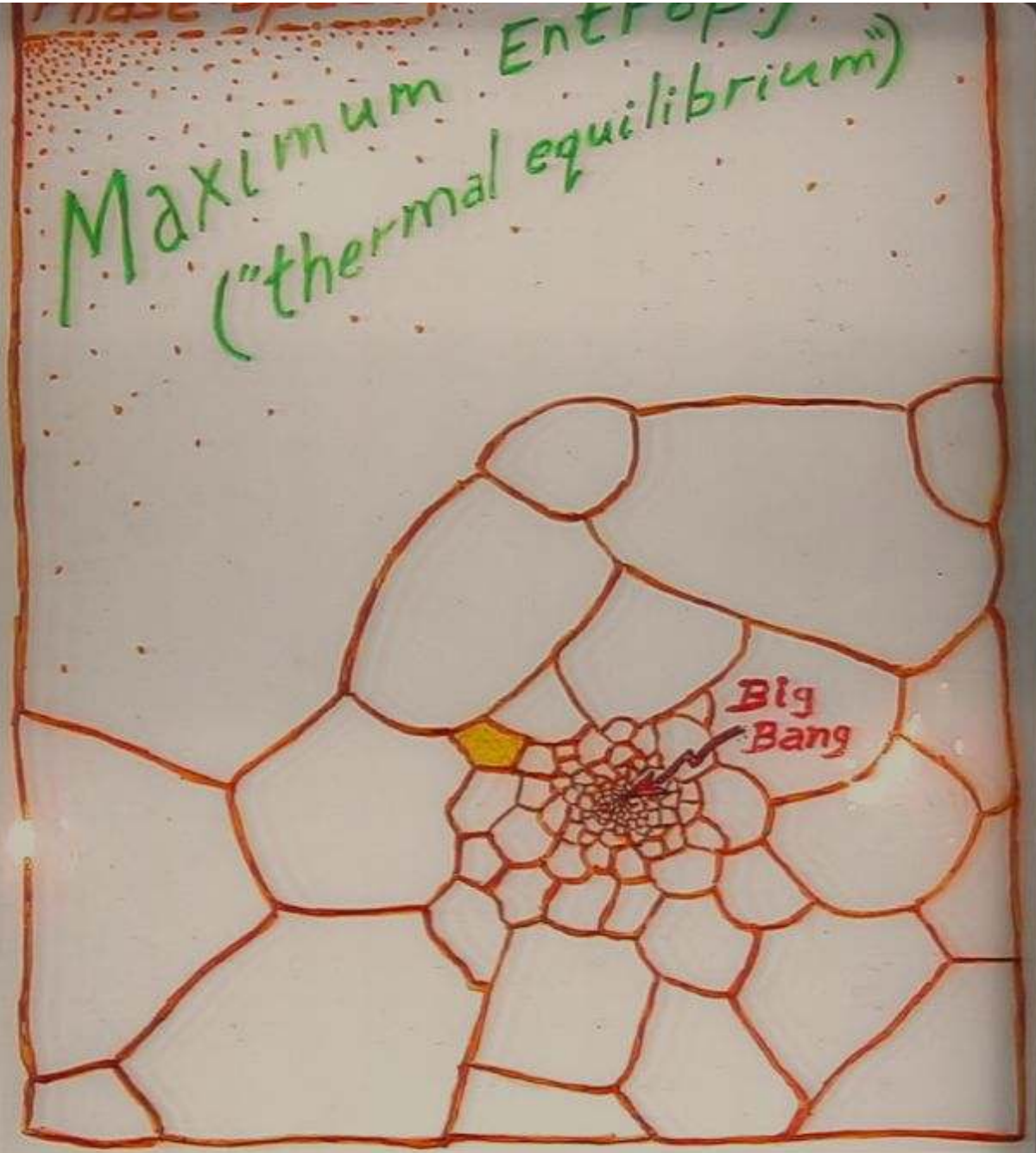
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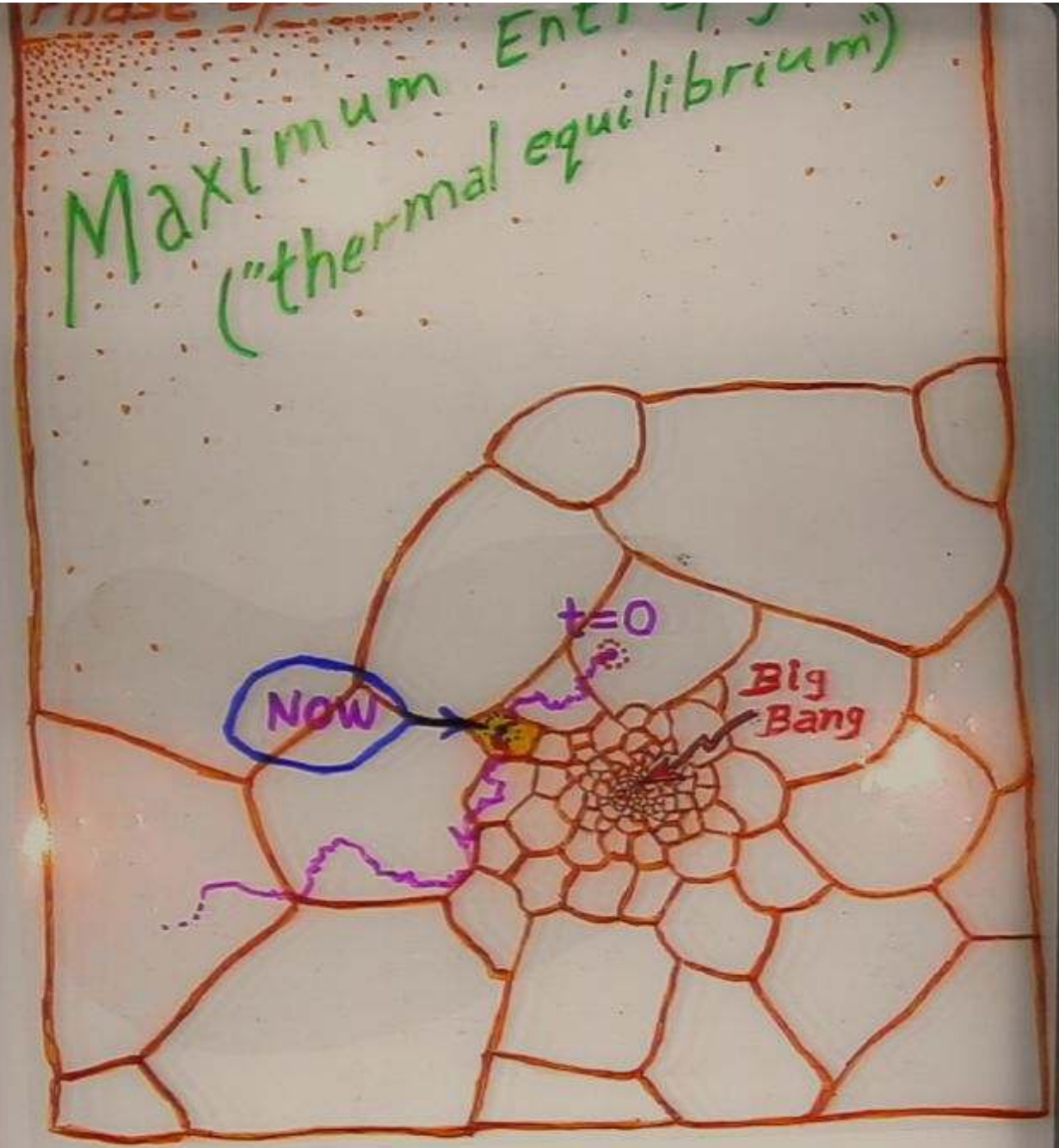
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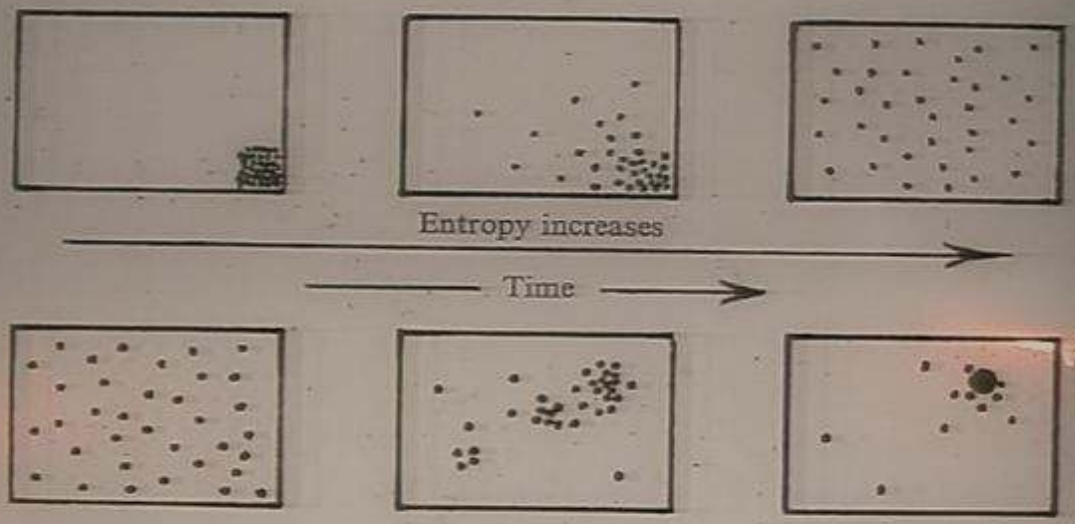
Entropy increase



with gravity!

How we make use of the low-entropy resevoir available from gravitational clumping: The sun is a hot spot in a dark background sky. Its very existence results from gravitational clumping.

The Earth gives back all the energy it receives from the Sun. But the energy received is in a SMALL number of high-energy photons (yellow) and sent away in a LARGE number

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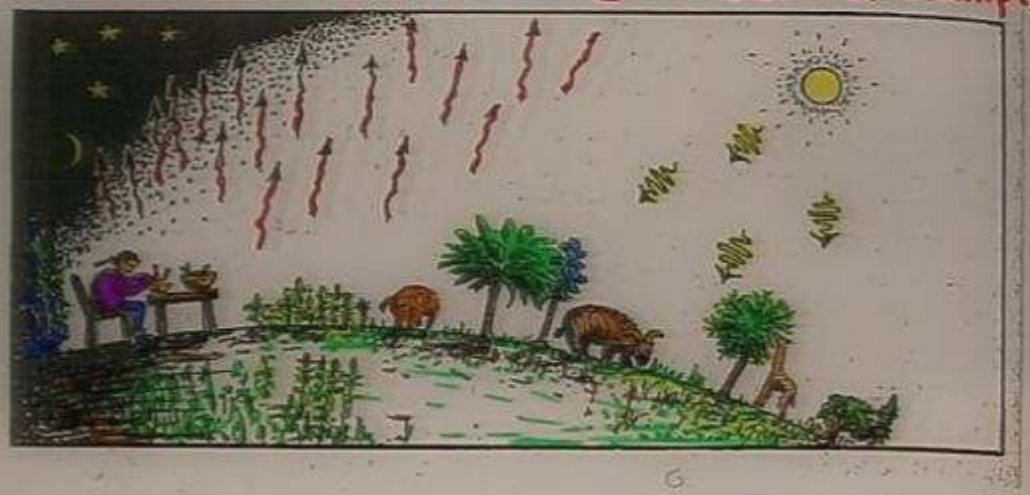

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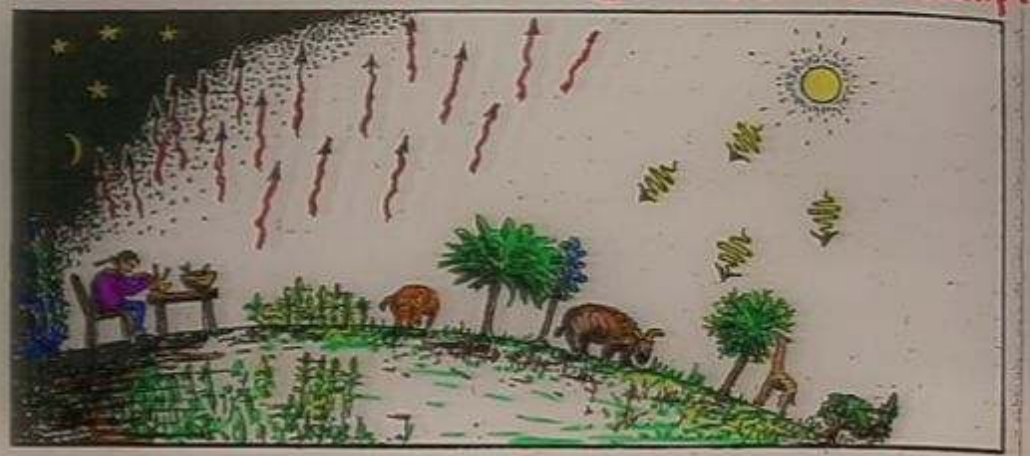

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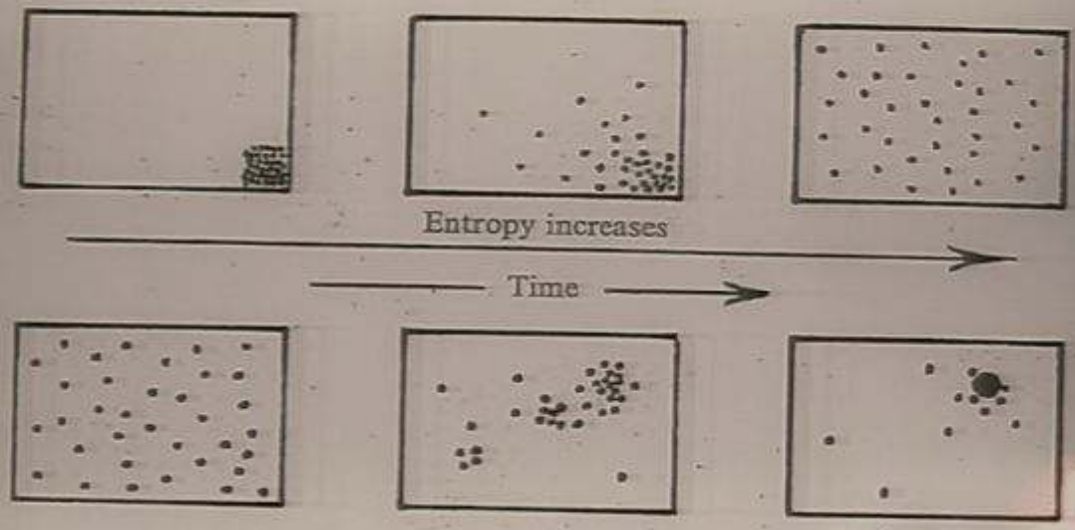

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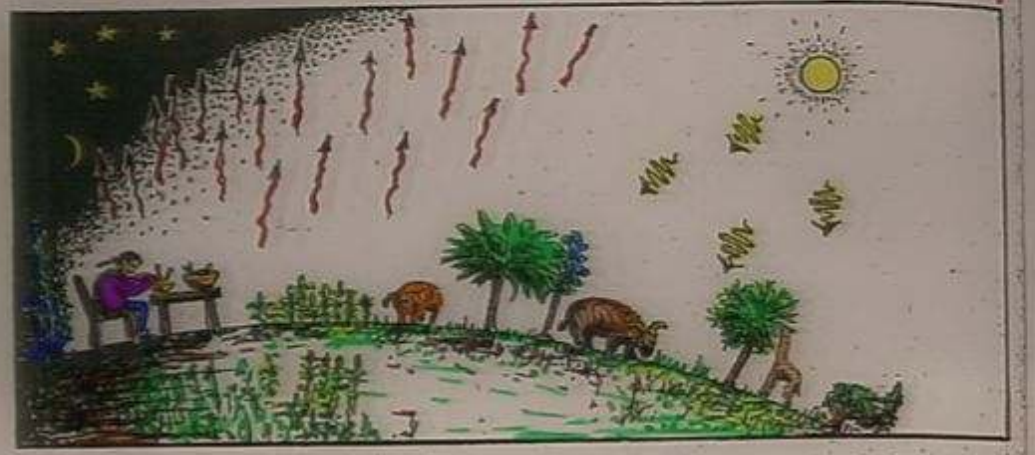

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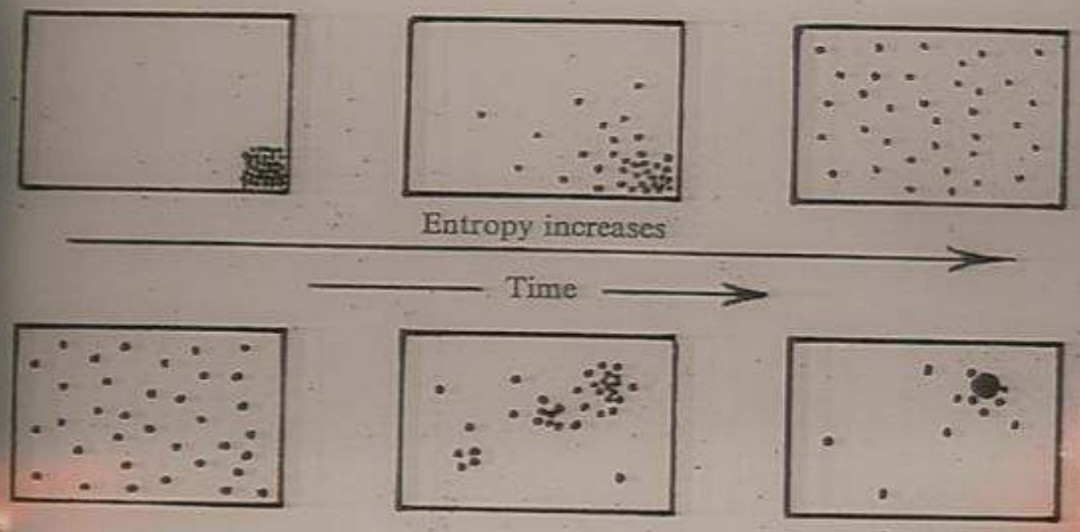
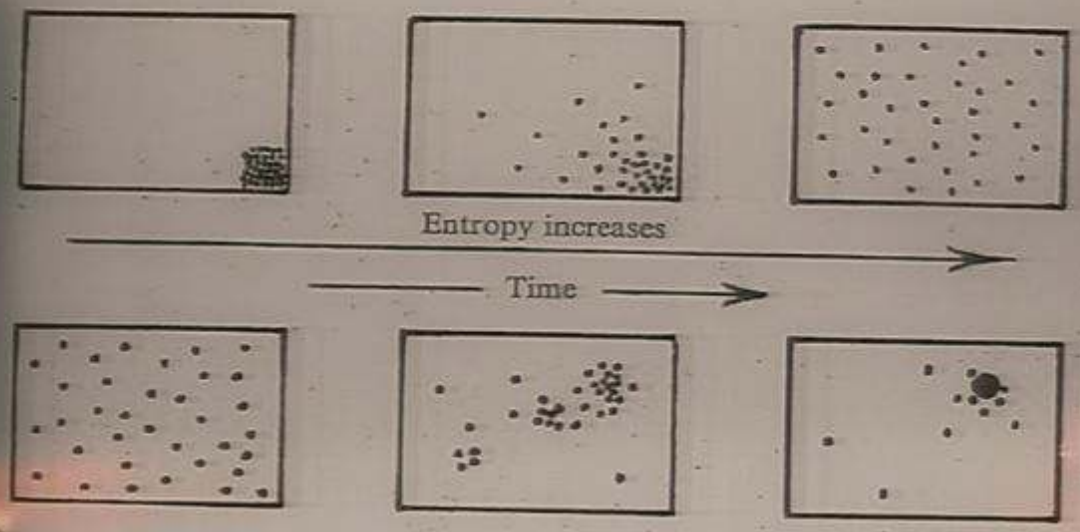
K=0
Big Bang
time
K<0
Big Bang

Entropy increase



with gravity!

Entropy increase



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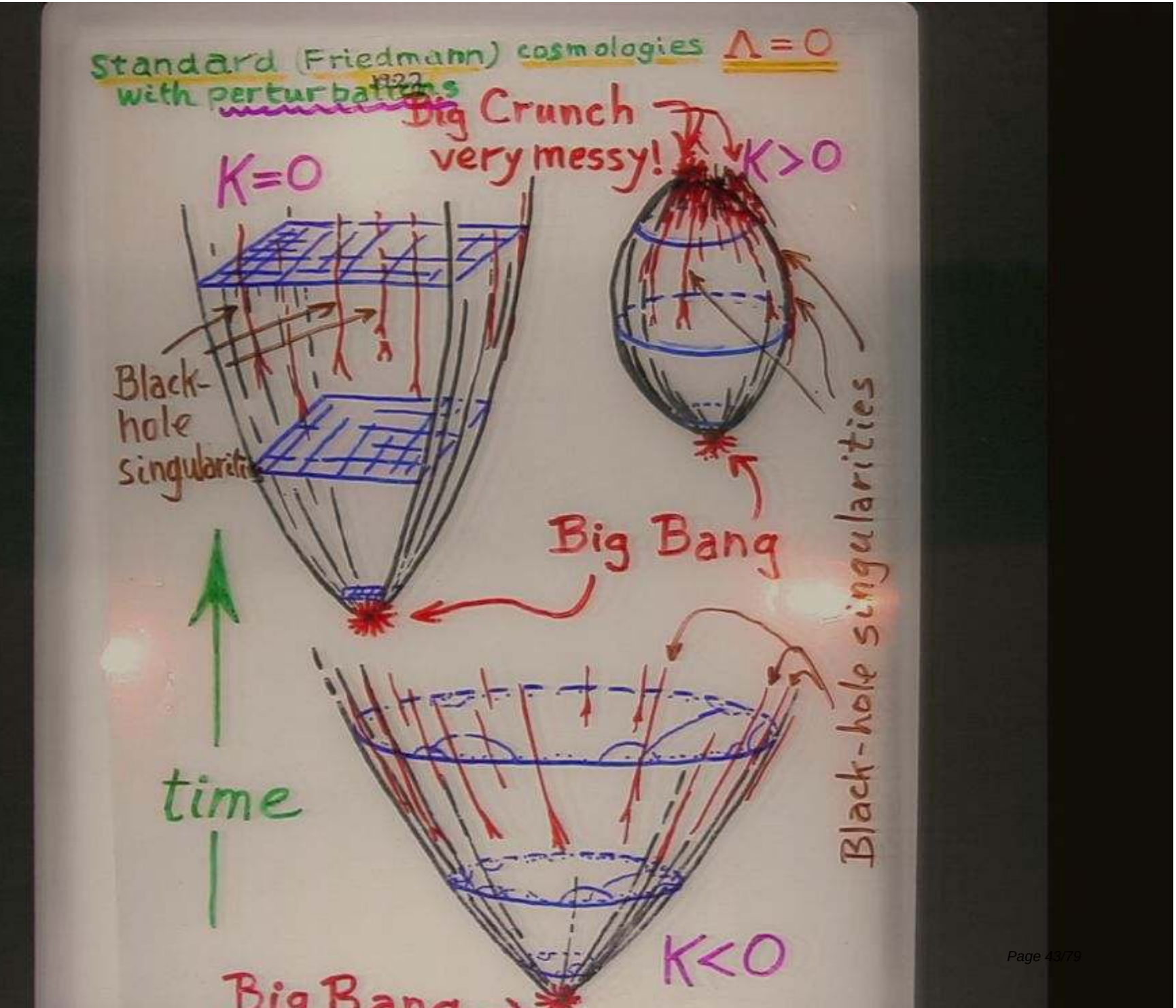
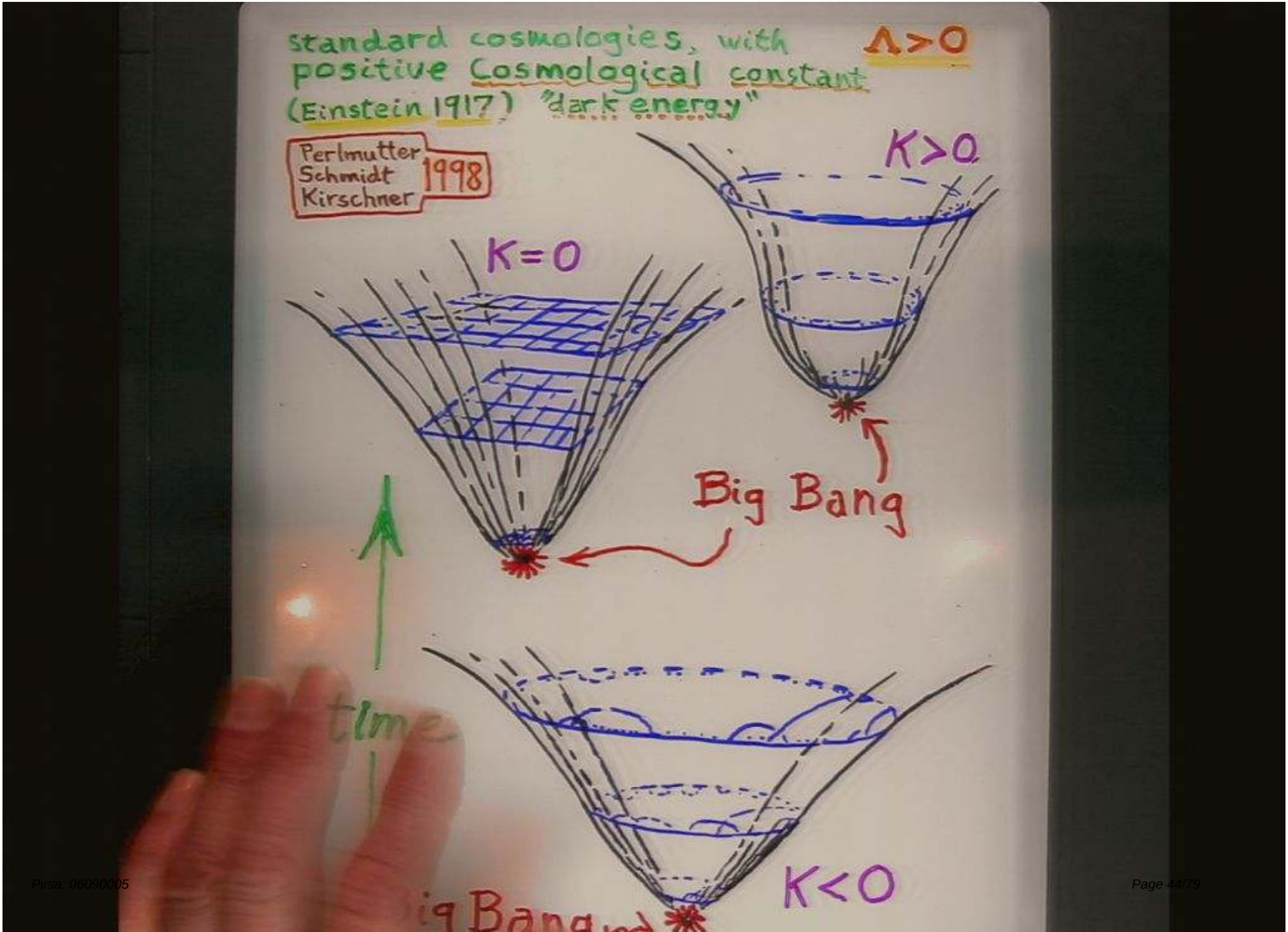

Standard (Friedmann) cosmologies Λ=0
with perturbations
Big Crunch
very messy!
K=0
K>0
Black-hole singularities
Big Bang
time
Black-hole singularities
K<0
Big Bang


standard cosmologies, with positive Cosmological constant (Einstein 1917) "dark energy"
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1998
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Big Bang
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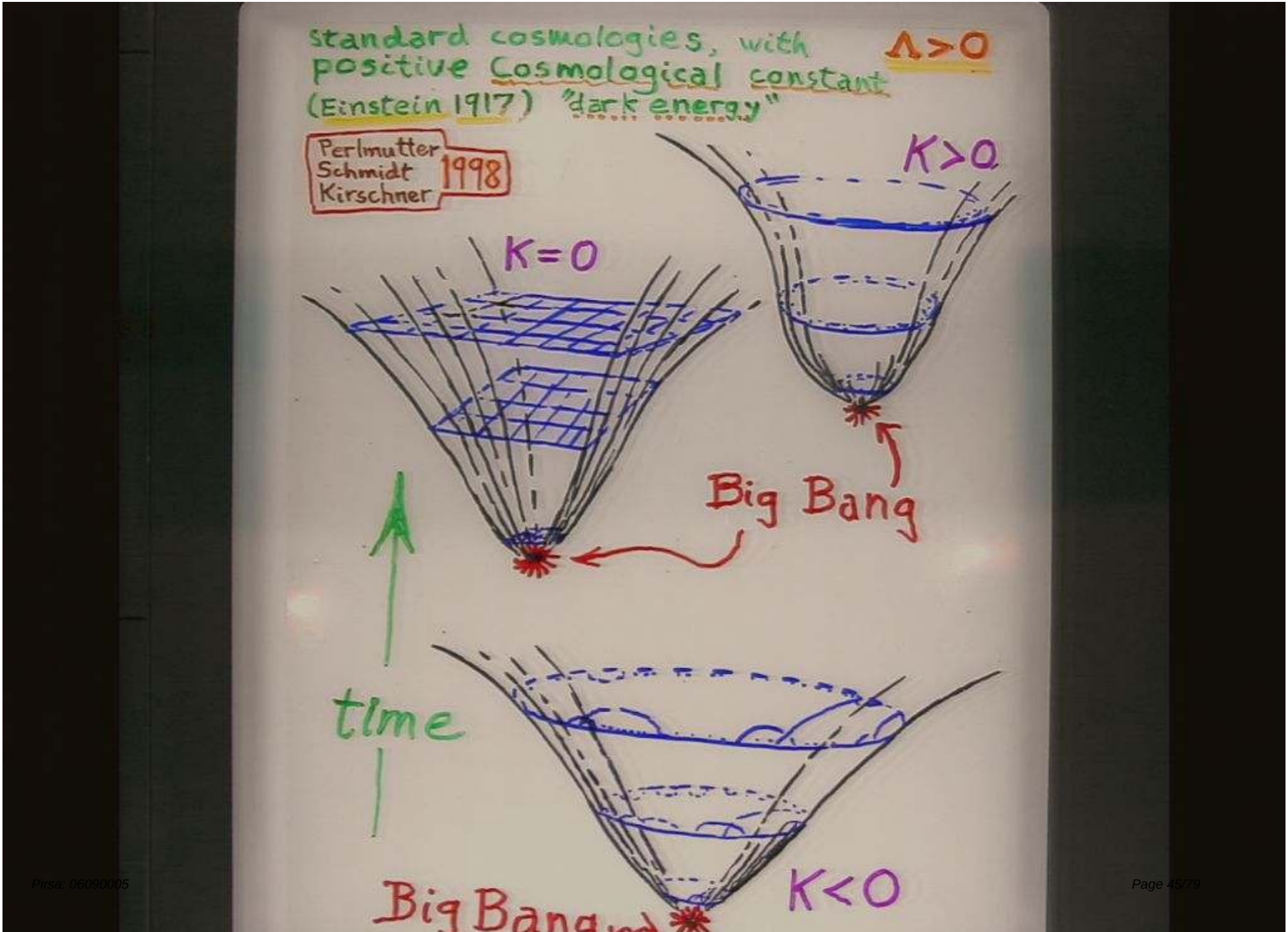
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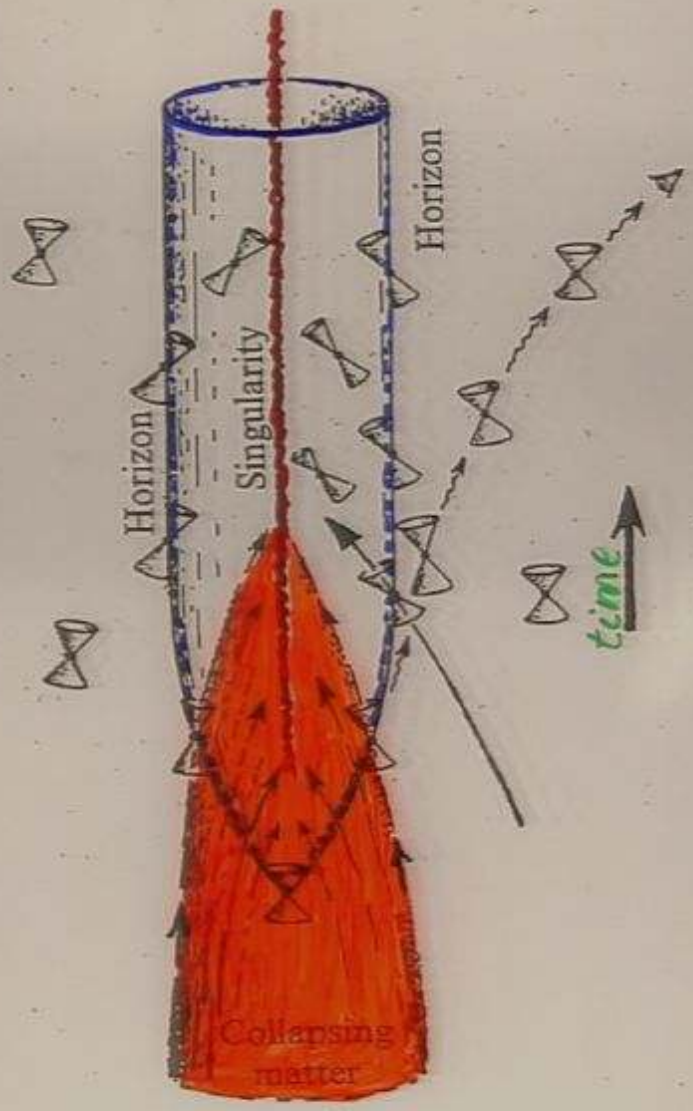
Collapse to a black hole



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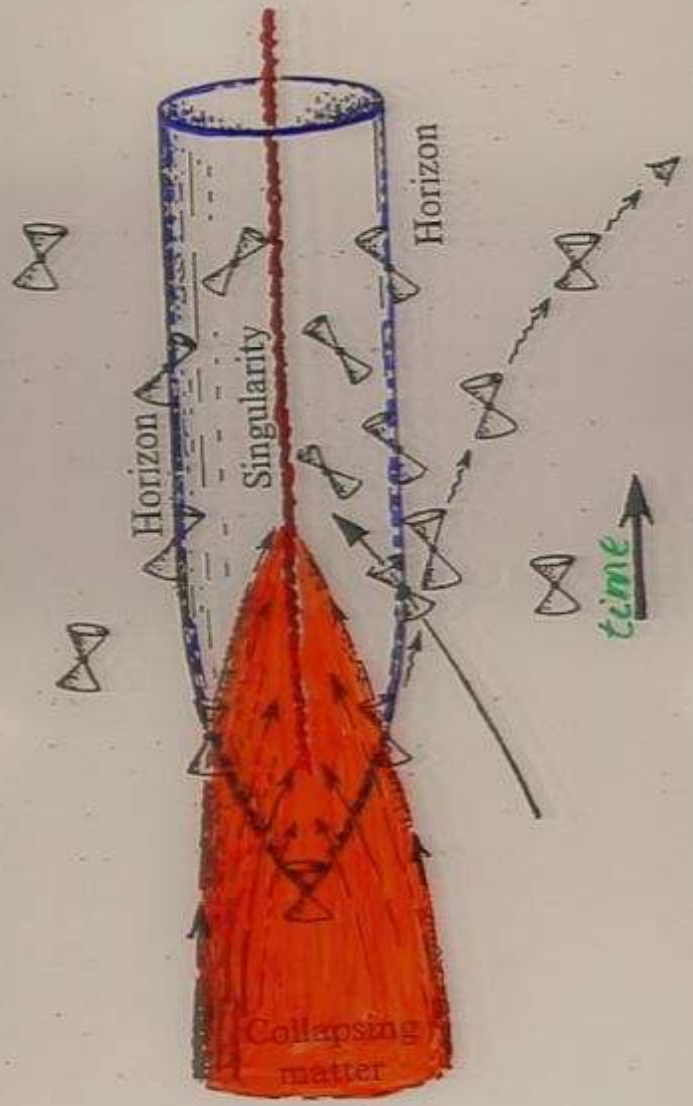

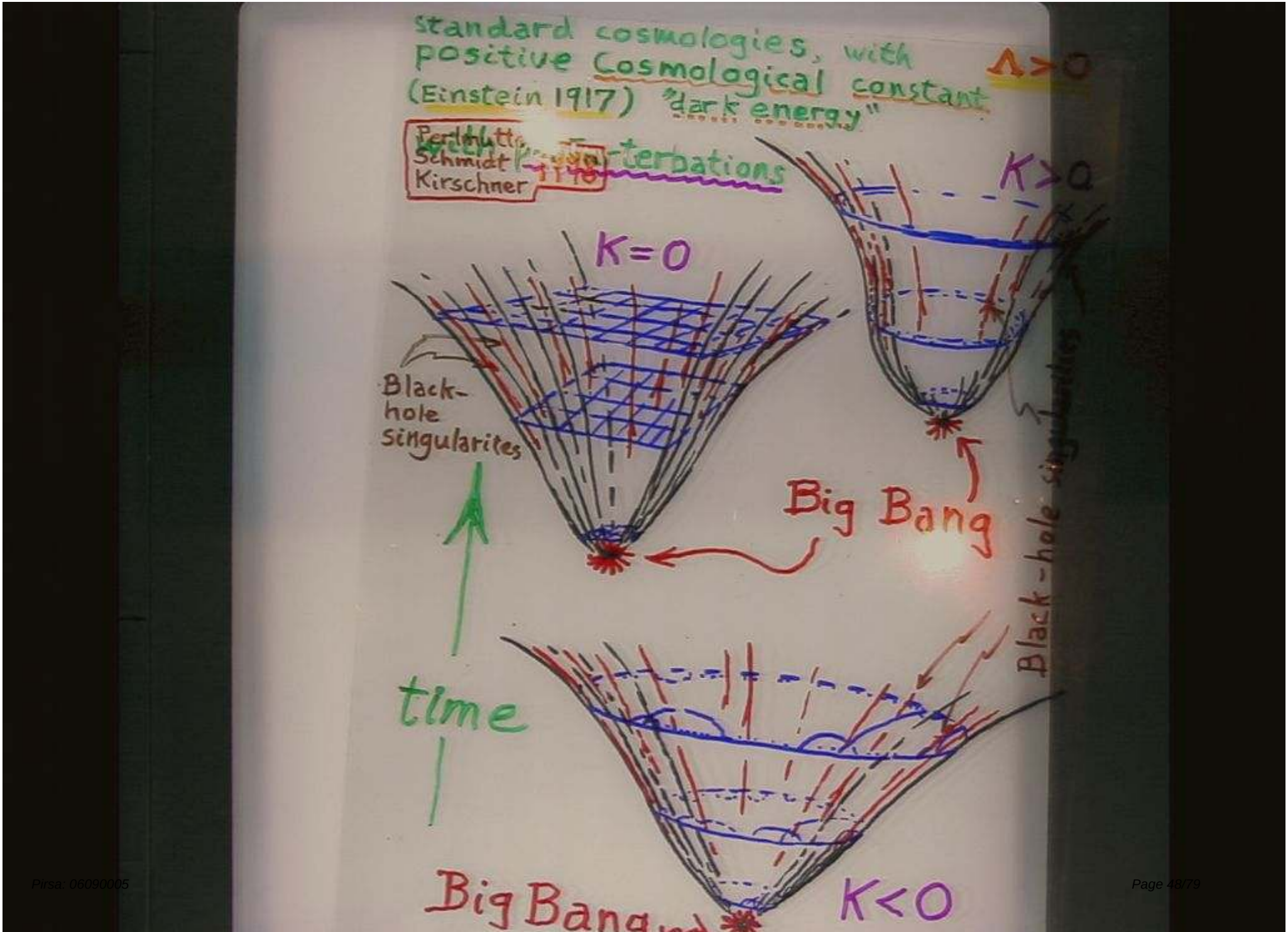
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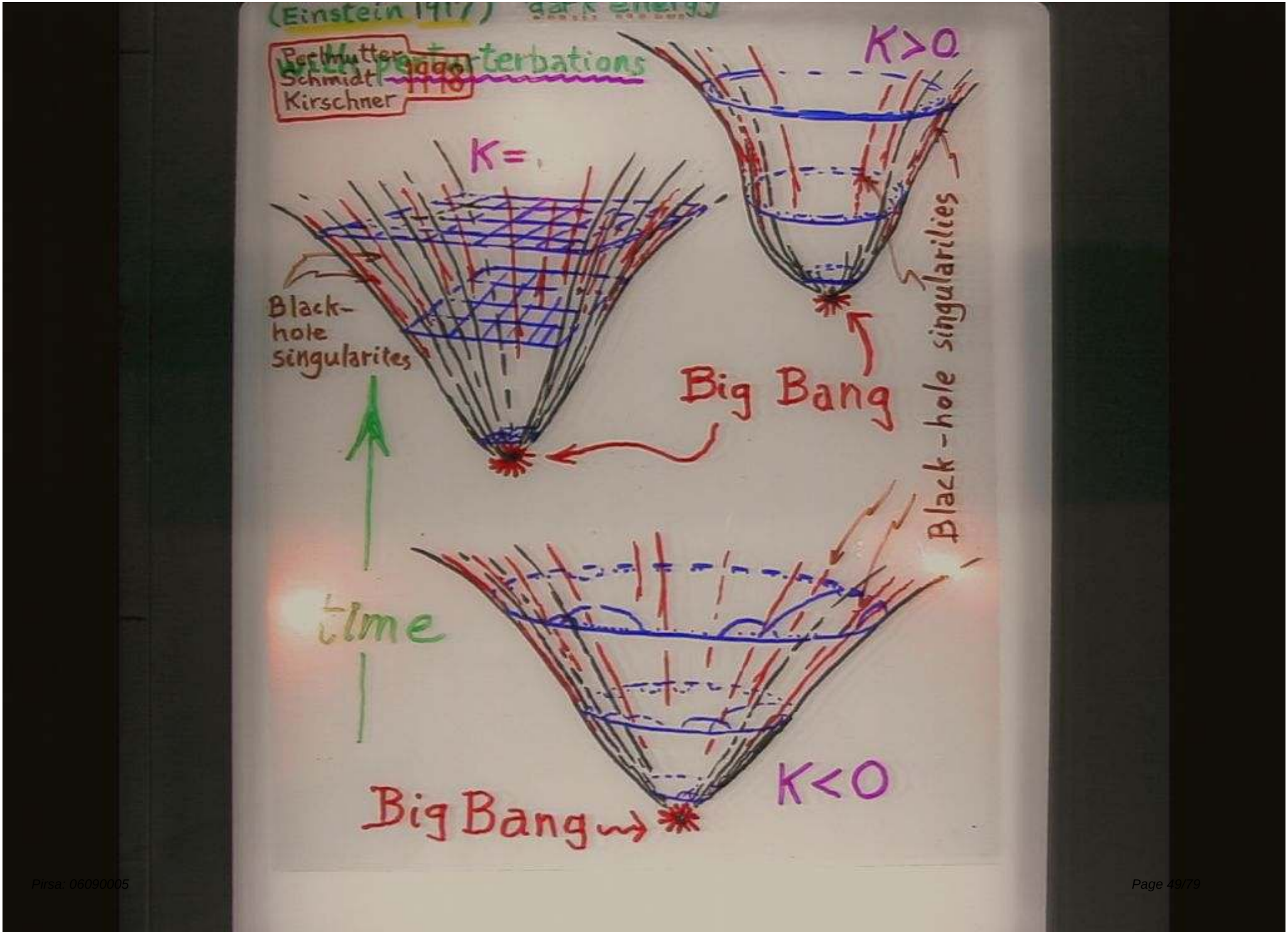
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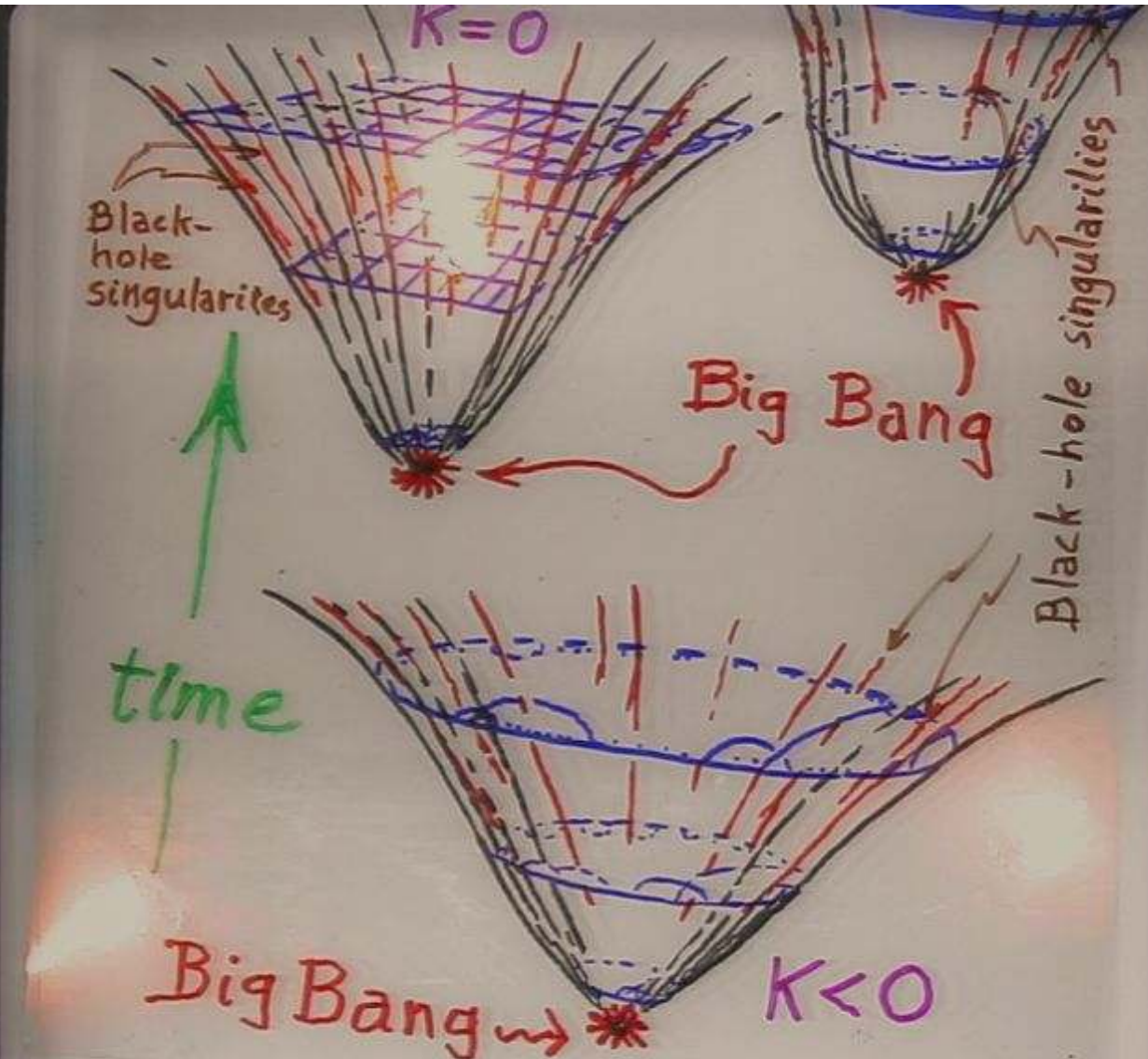
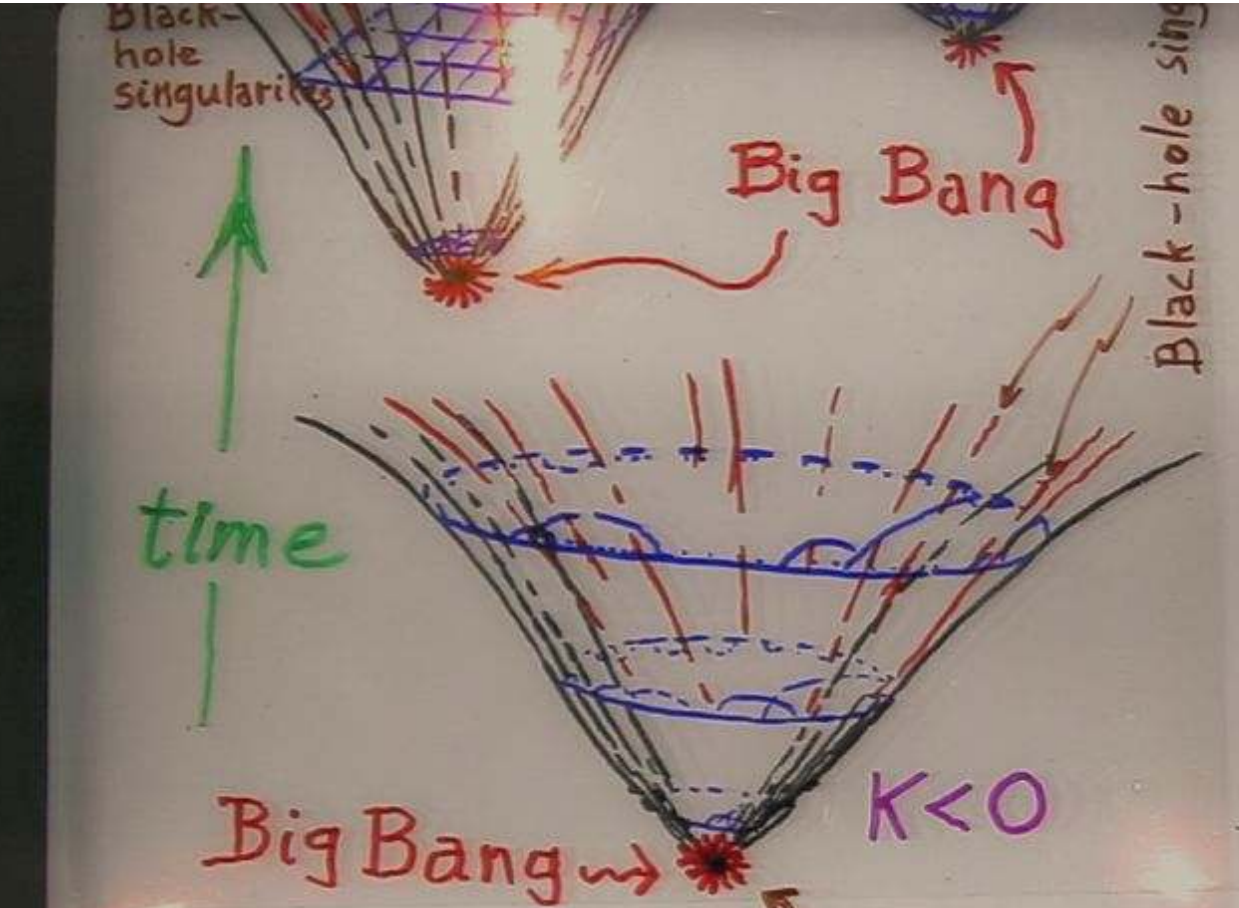


1 chance in $\gg 10^{10^{123}}$

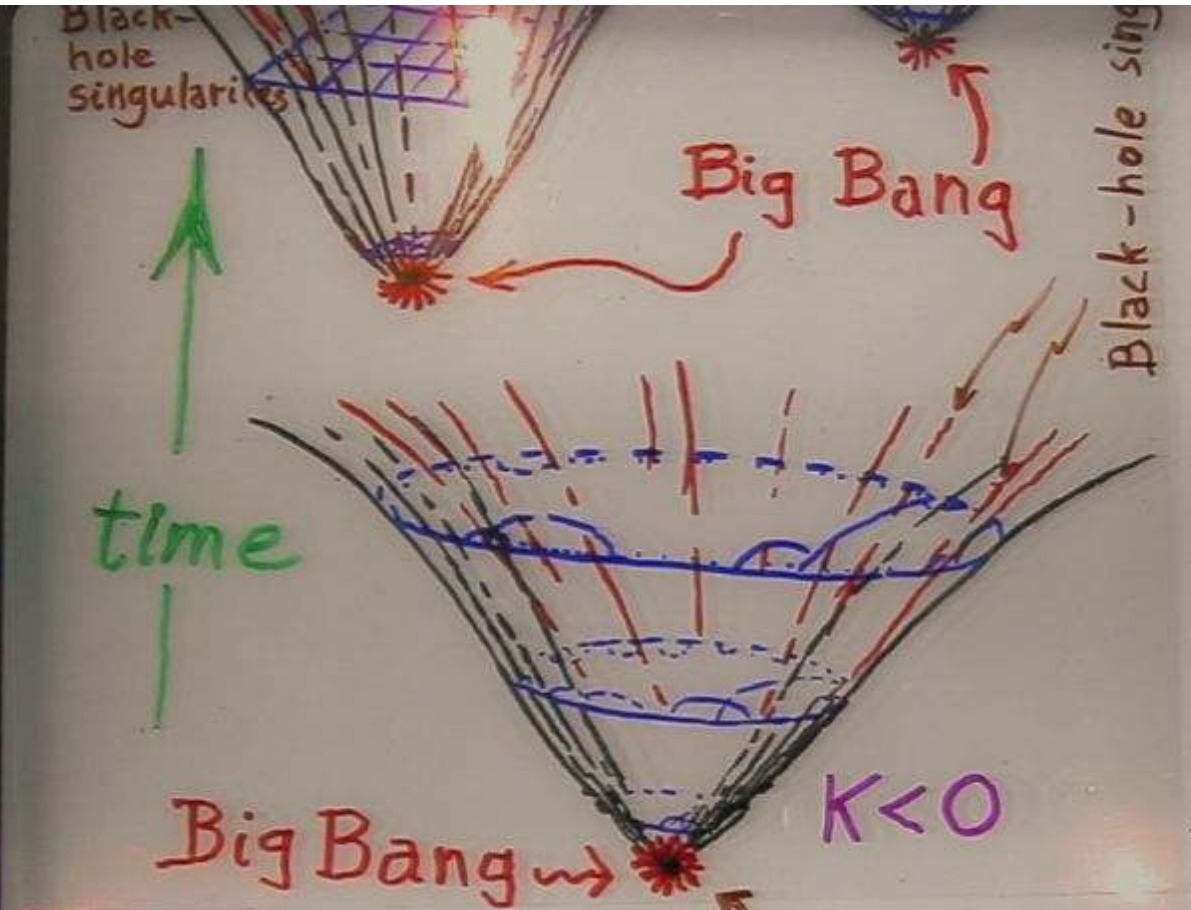


Big Bang singularity was enormously constrained → 1 part in $10^{10^{123}}$

Gravitational degrees of freedom seem not to have been excited

Weyl curvature hypothesis:

Initial-type singularities (but not final ones) are constrained to have Weyl curv. $\cong 0$



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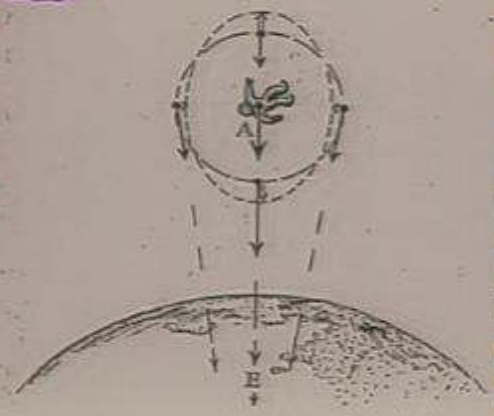
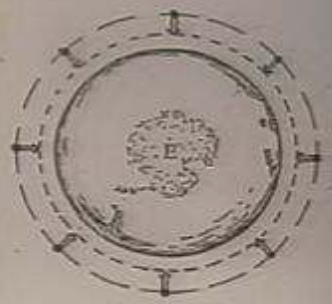
Space-time curvature: tidal distortion

Full Riemann curvature = Weyl curv. + Ricci curv.

Free gravity



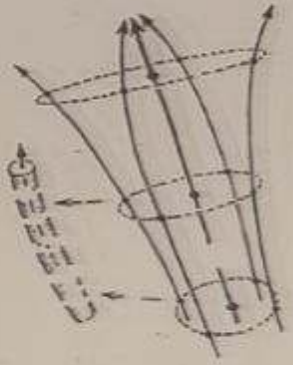


Matter source

spatial picture

(geodesic deviation in space-time)

time



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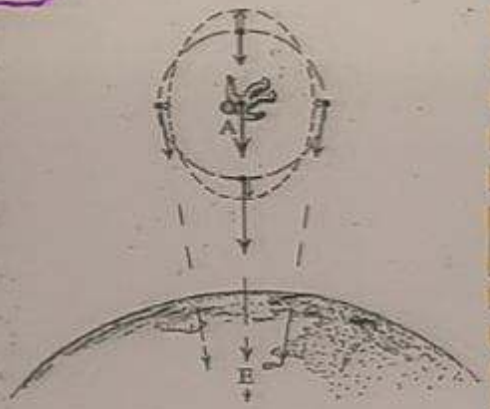

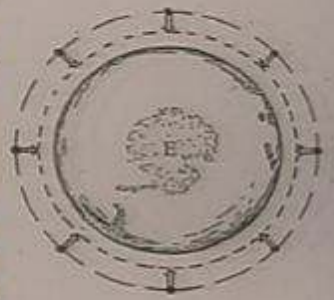

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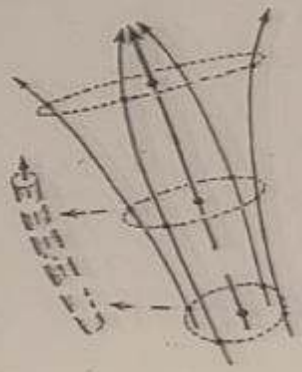


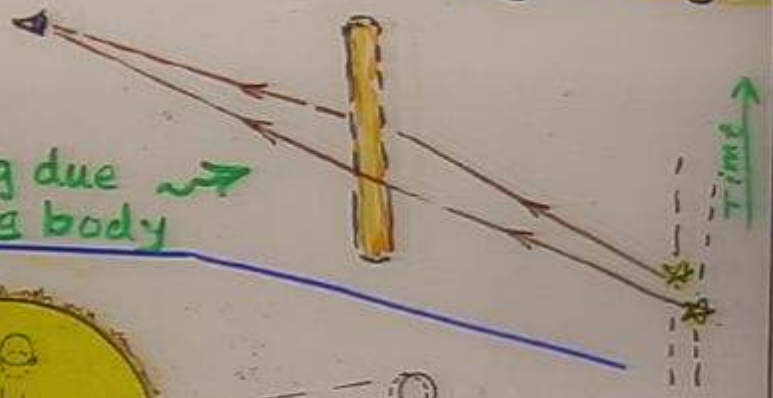
Matter source

time

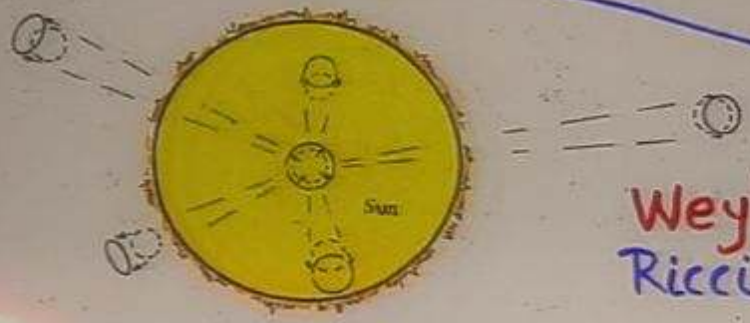
Weyl Ricci

space-time picture

Effects of Weyl & Ricci (trace-free) space-time curvature on light rays



light bending due to gravitating body



spatial picture

Weyl: distortion
Ricci: magnification

geodesic deviation of light rays

Weyl curvature = conformal curvature

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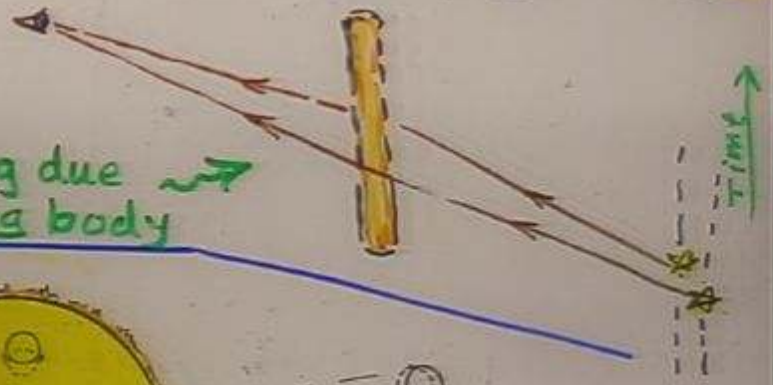

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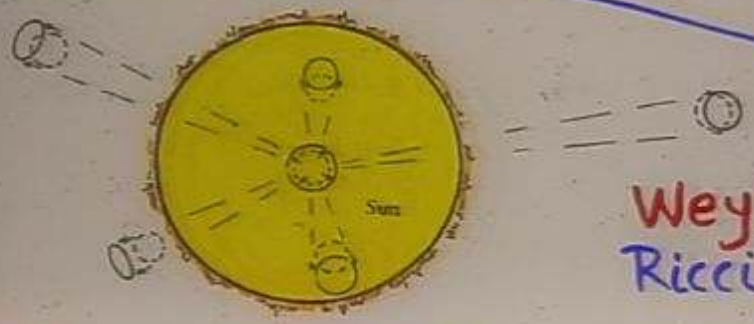

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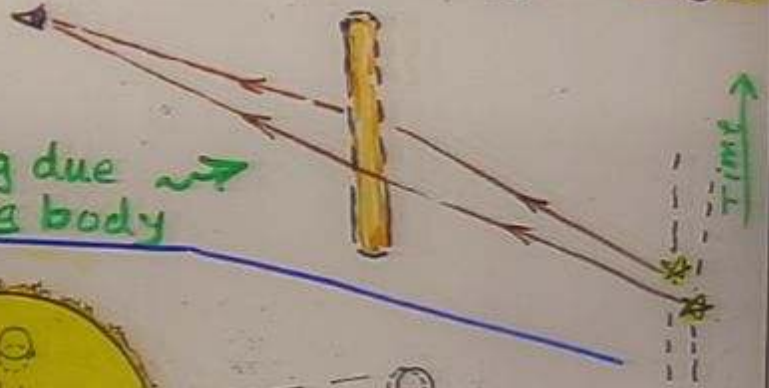

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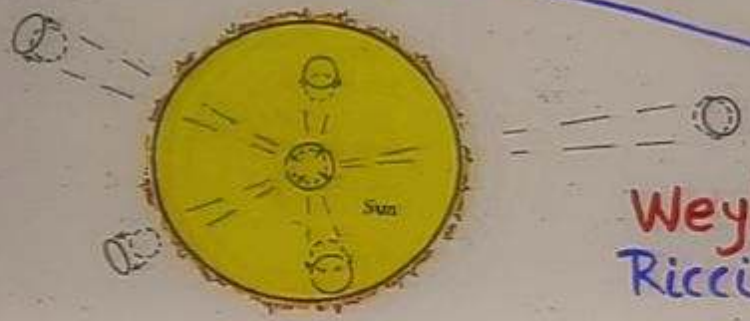

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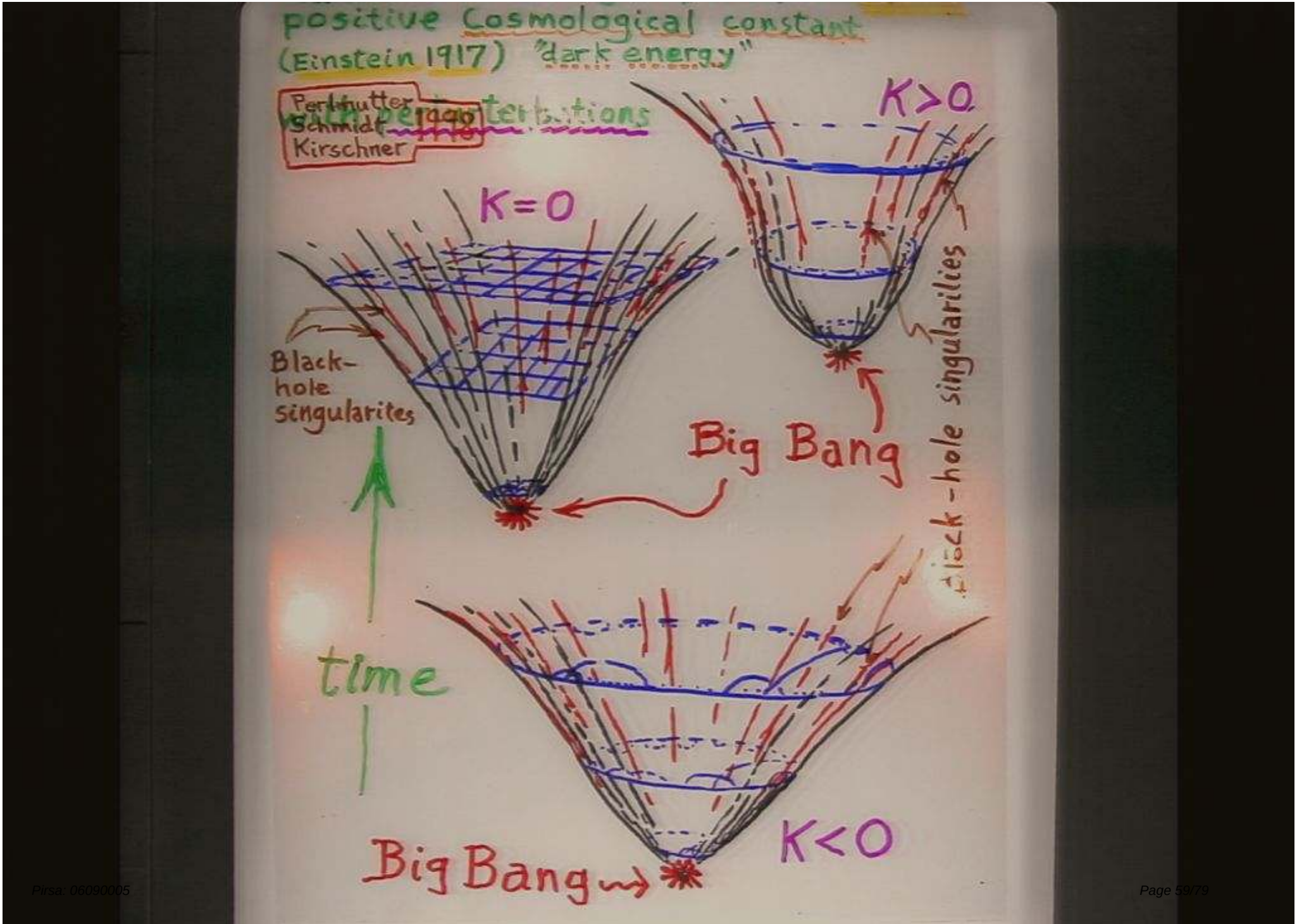
GRAVITATIONAL LENSES IN ABELL 2218

Pirsa: 06090005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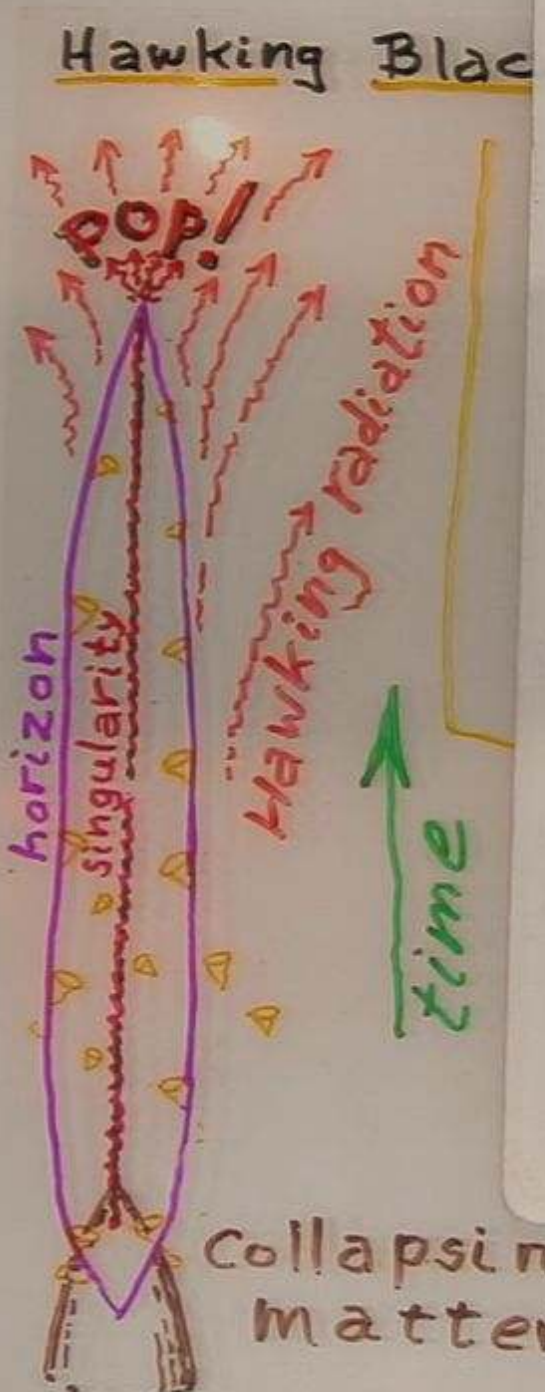
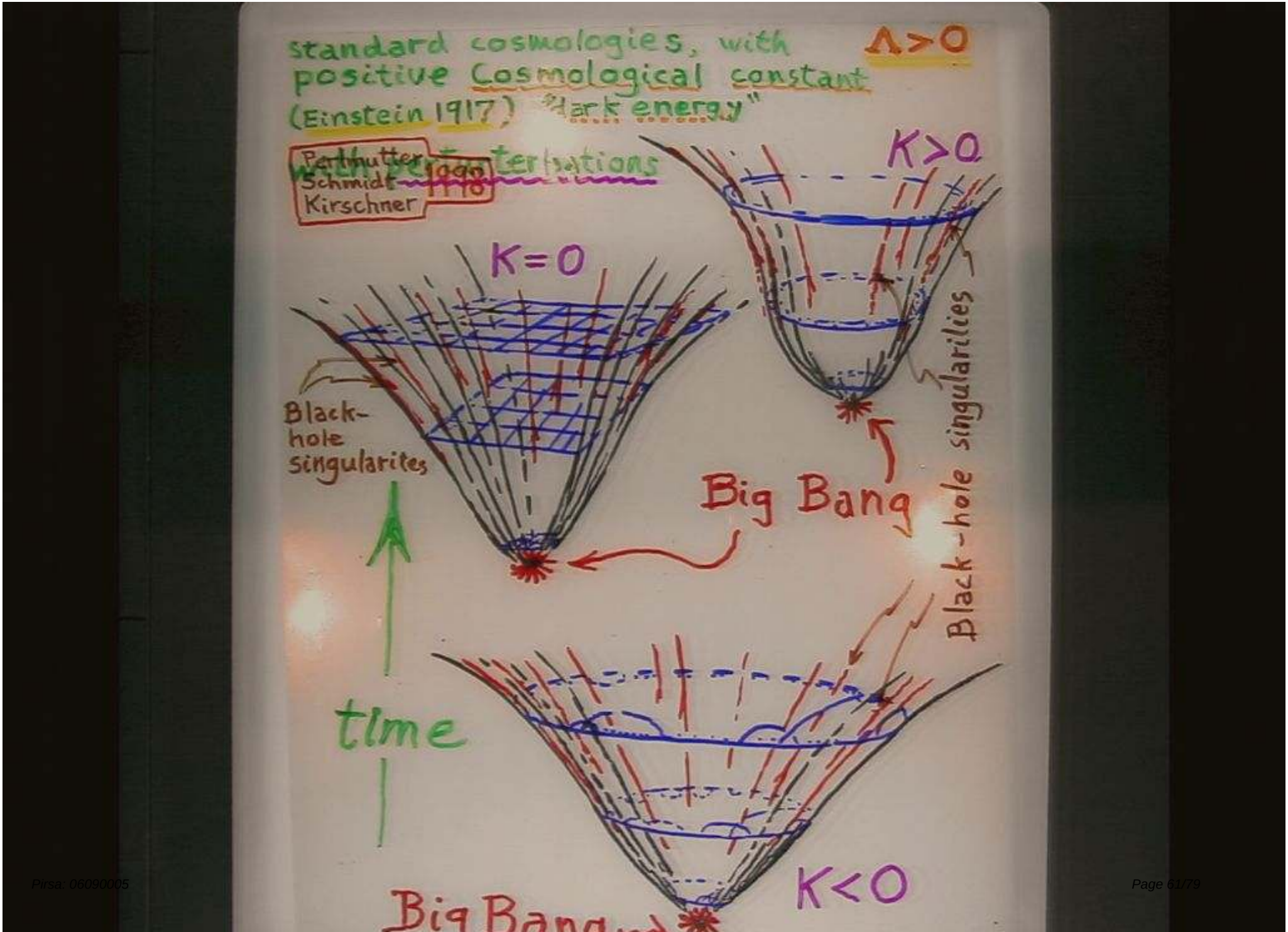


of singular
TIPs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Conformal geometry

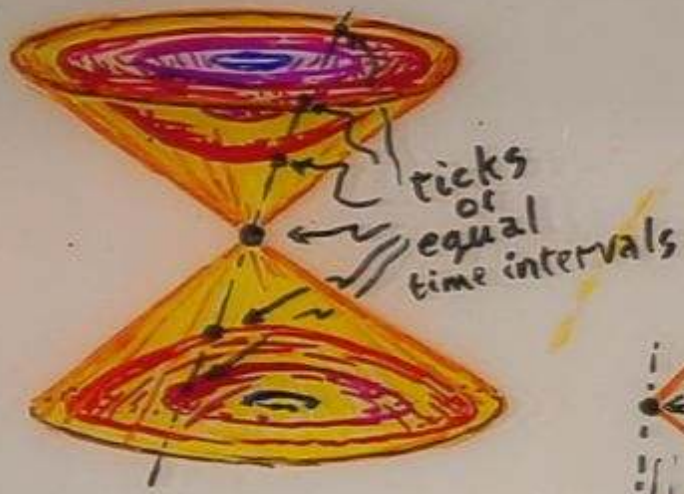
Metric up to local scale changes

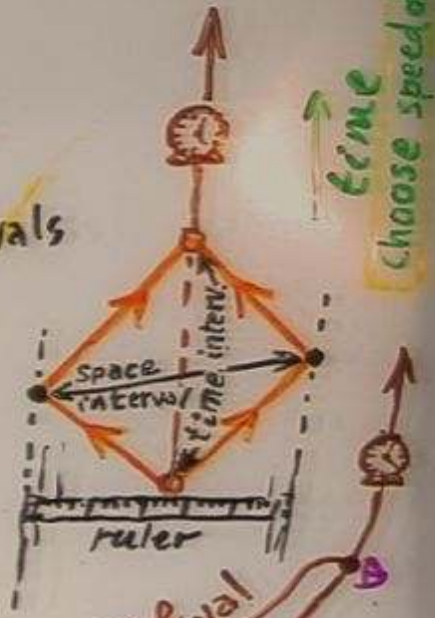
Angles and small shapes, not length

E.g. in Escher's circle limits, the hyperbolic geometry agrees with the Euclidean background

Beltrami
Poincaré

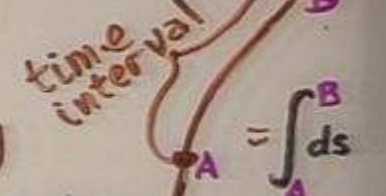
Space-time conformal geom.
= light-cone structure

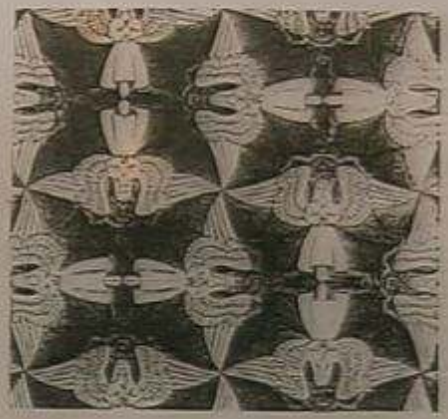




The metric $g_{..}$ is really a measure of time (not distance)

(signature ...)





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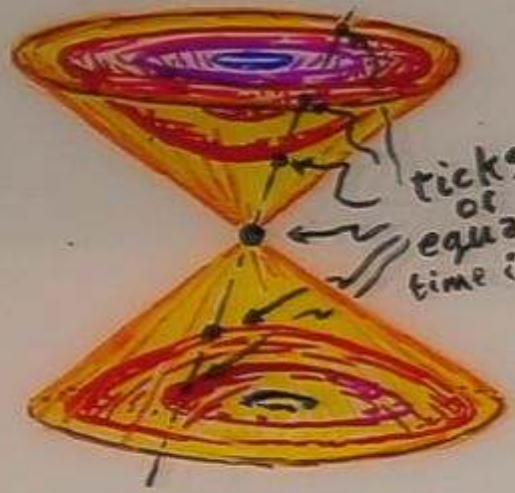

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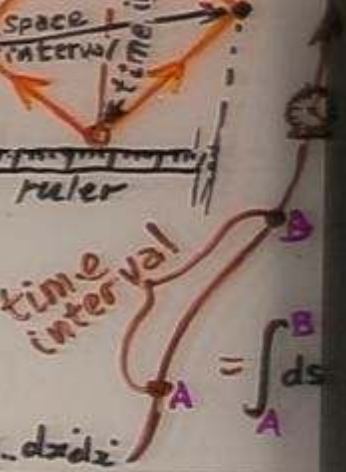

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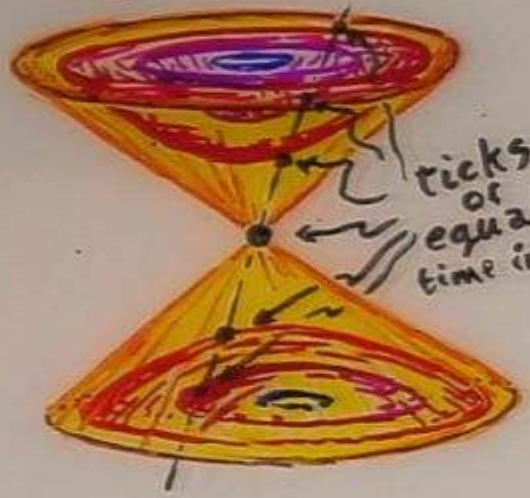

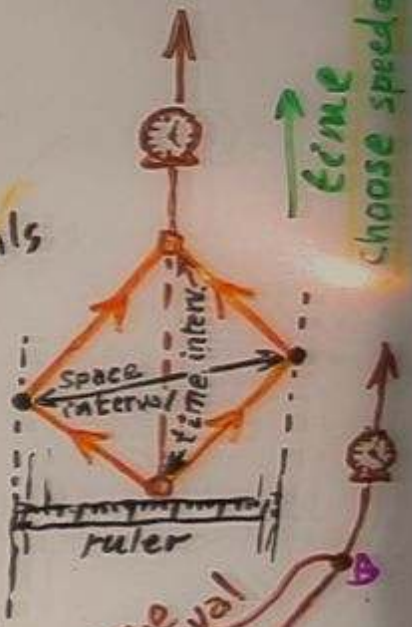

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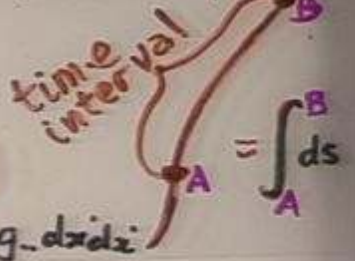


Strict conformal diagrams

symmetry axis

point

sphere S^2

infinity ($\mathscr{I}$)

singularity

Key

each interior point describes S^2

Minkowski space

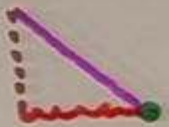
horizon

collapse to black hole

Cosmological models

$\Lambda = 0$

$k > 0$



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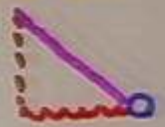


$k < 0$

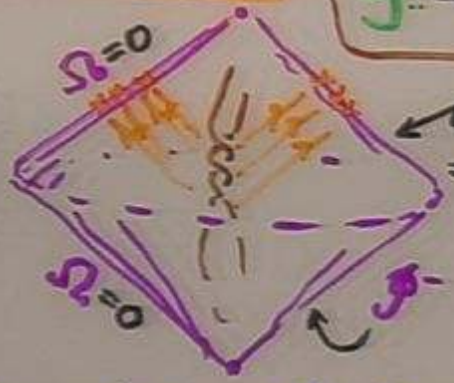
$\Lambda > 0$

2 Conformal "Mathematical Tricks"

Gravitational radiation

phys

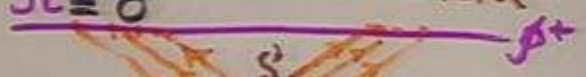
$\hat{g}_{ab} = \Omega^2 g_{ab}$



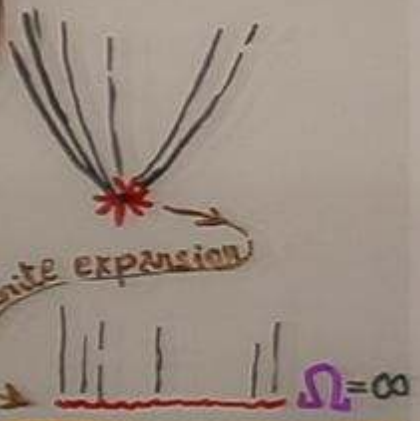
Asymptotically flat space-time $\Lambda = 0$

Trick: shrink ∞ to a finite place by taking $\Omega = 0$ there

When $\Lambda > 0$, this still works (in some sense better (RP Friedrich) – easier) but then $\mathscr{I}^+$ is spacelike rather than null



Cosmological singularities



Trick: expand out singularity to obtain a conformally smooth initial hypersurface

Tod's form of Weyl currature hypothesis: this works!

ysical metric

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ysical metric

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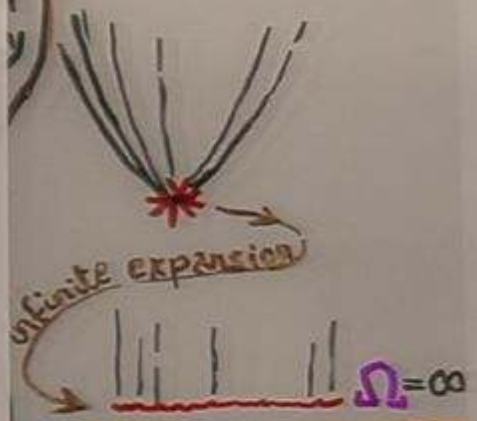

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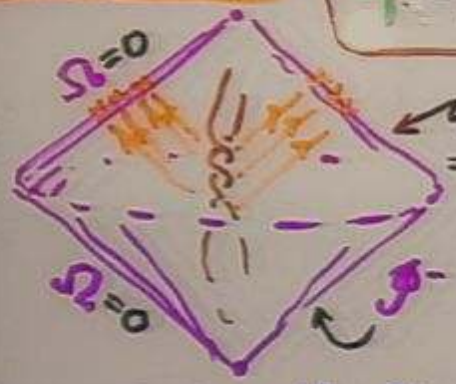
2 Conformal Mathematical Tricks

Gravitational radiation

$\hat{g} = \Omega^2 g$ ← physical metric

RP ~ 1962



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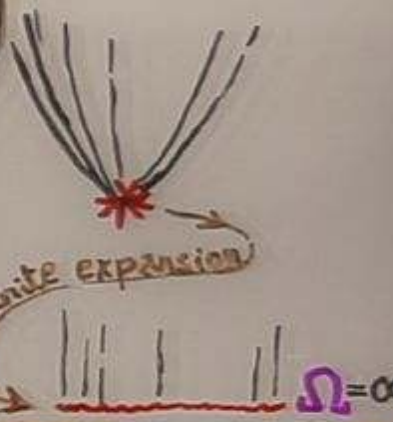

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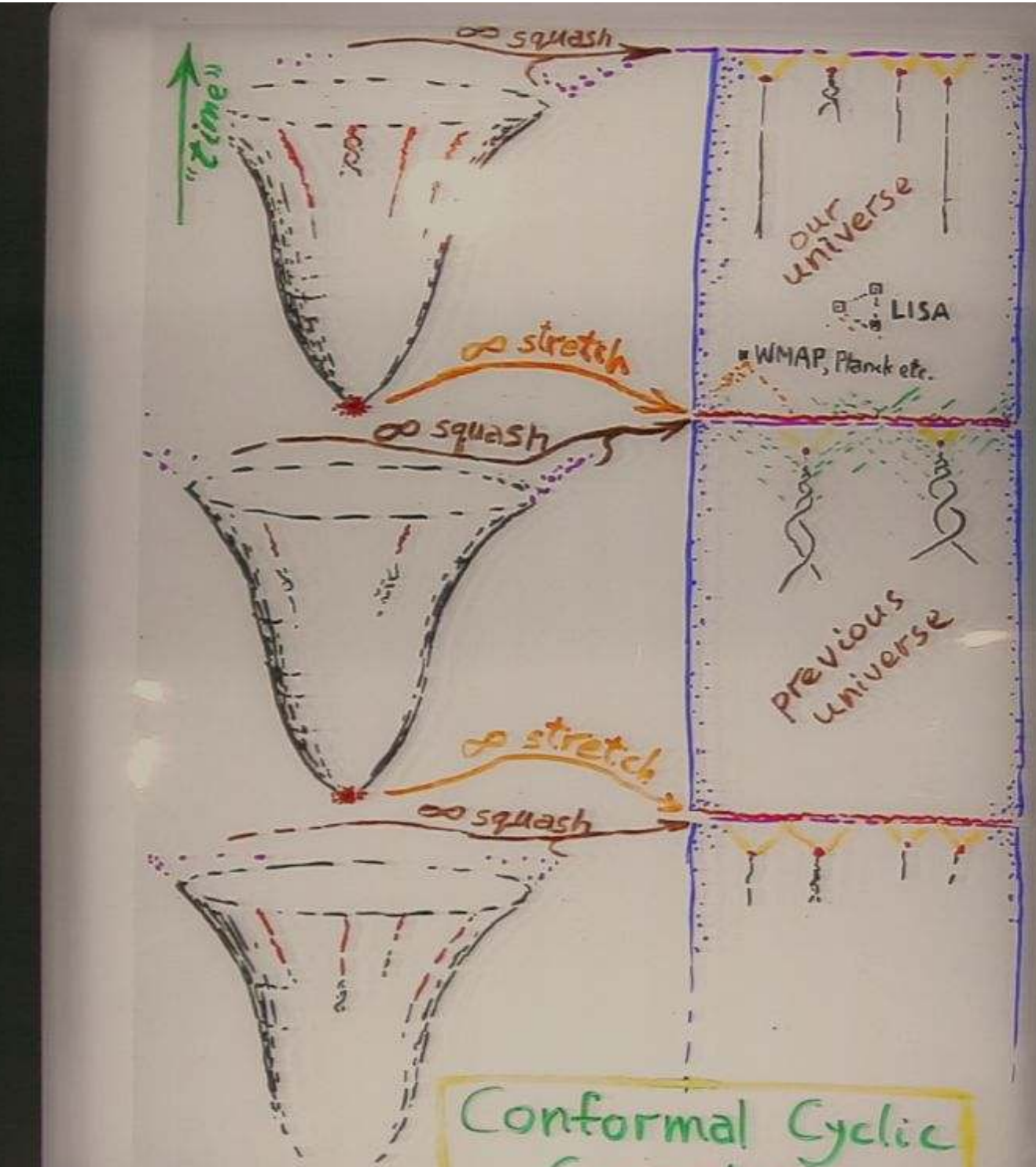
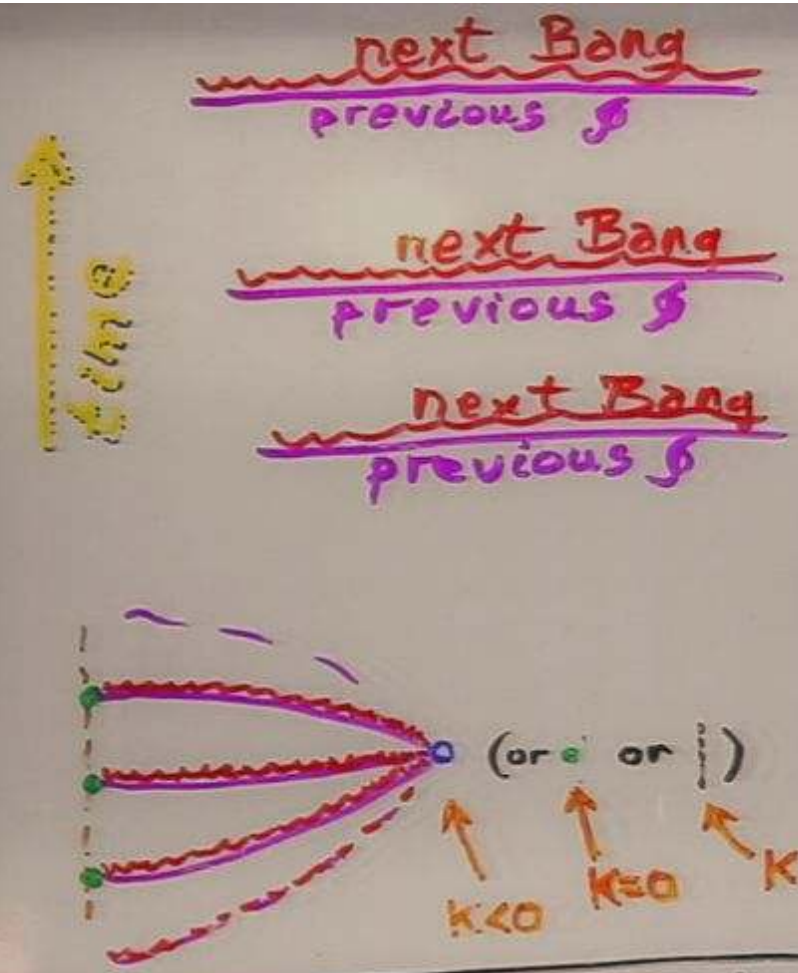

∞ squash
"time"
our universe
LISA
WMAP, Planck etc.
∞ stretch
∞ squash
previous universe
∞ stretch
∞ squash
Conformal Cyclic



Requirements / predictions

Good → • Tod form of Weyl curvature hypothesis ∴ 2nd Law in form observed

Questionable → • Need electrons to lose their mass, ultimately (or some other possibility)

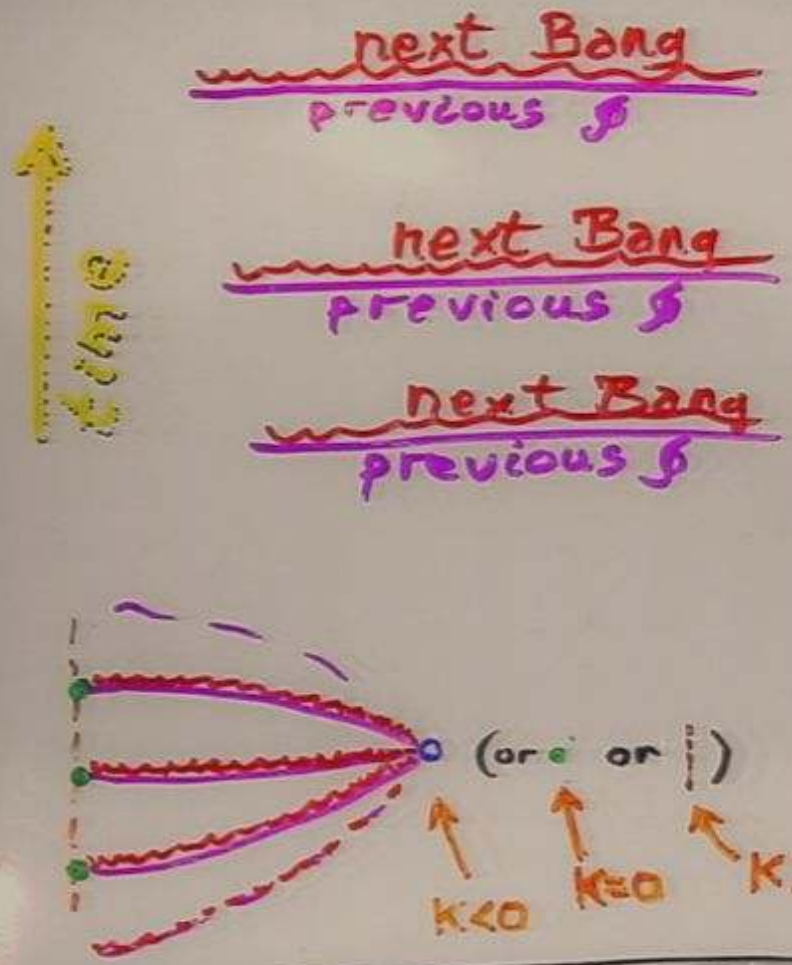
→ • Proton decay (or ultimately lose mass)

• All black holes ultimately decay away.

("ħ" renorm.) → ~~• Quantum aspects of fields eventually go.~~

• Conformal invariance at very high energies.

Observational? • Primordial grav. waves, density fluctn



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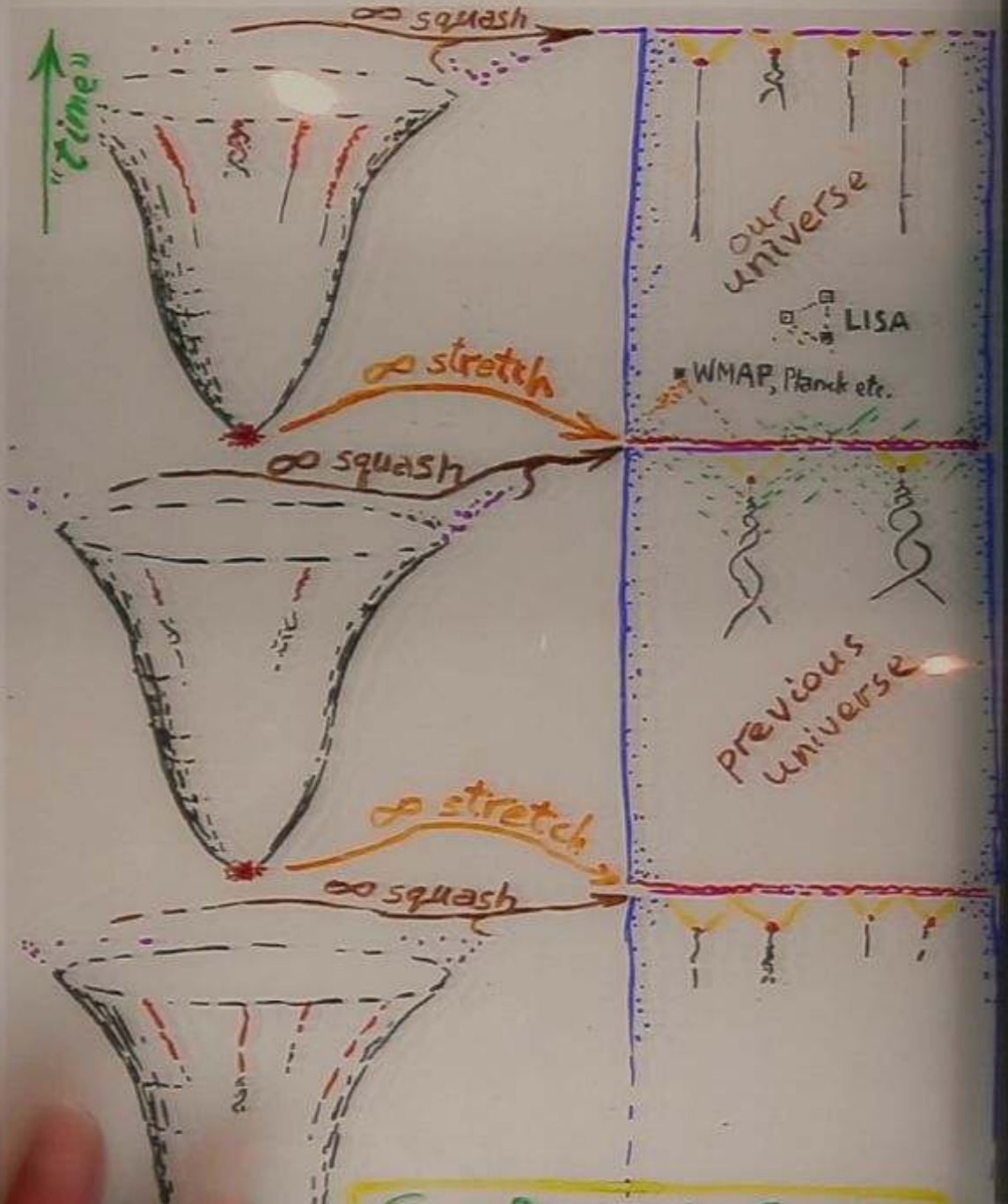
∞ squash
"time"
our universe
LISA
WMAP, Planck etc.
∞ stretch
∞ squash
previous universe
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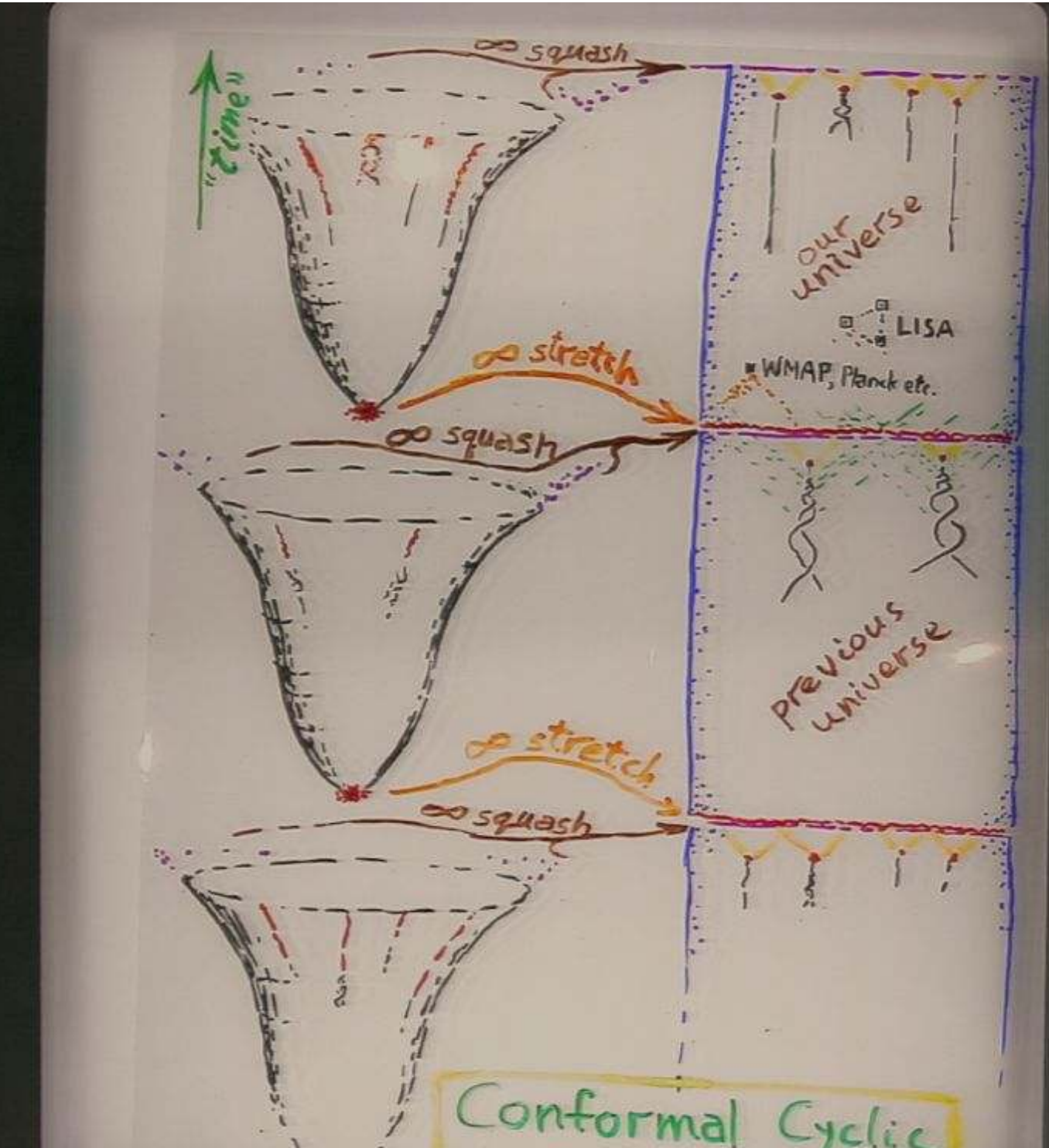
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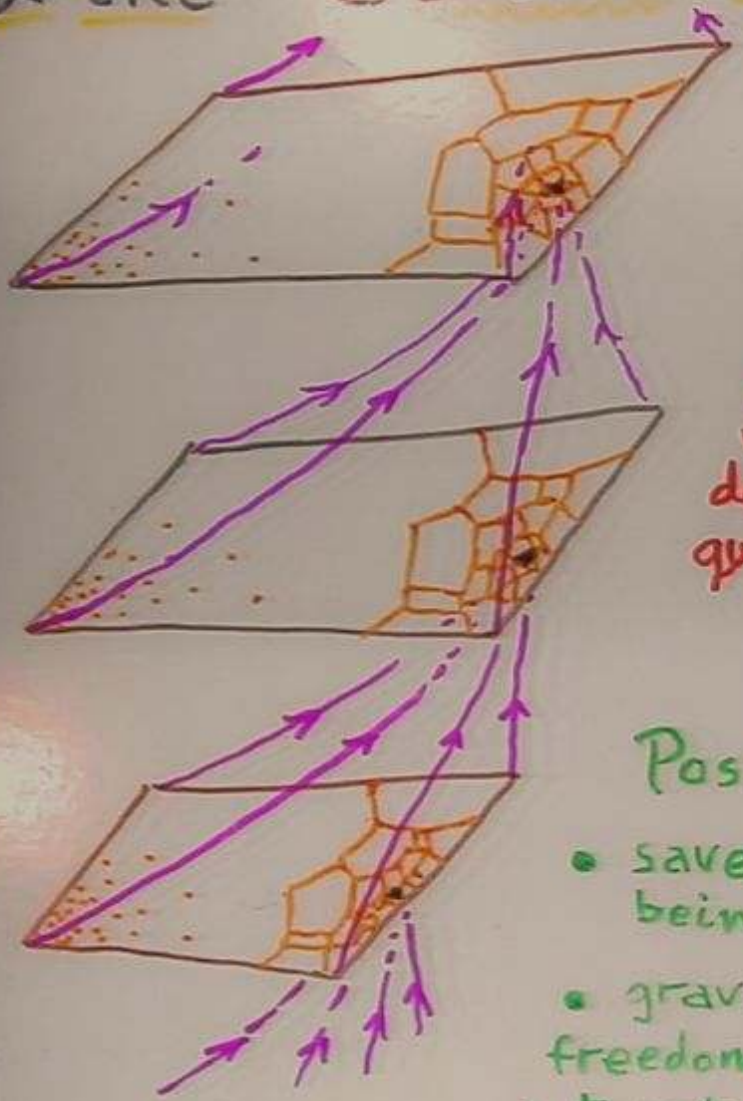
Conformal Cyclic

Phase-space Volume Loss & the Second Law



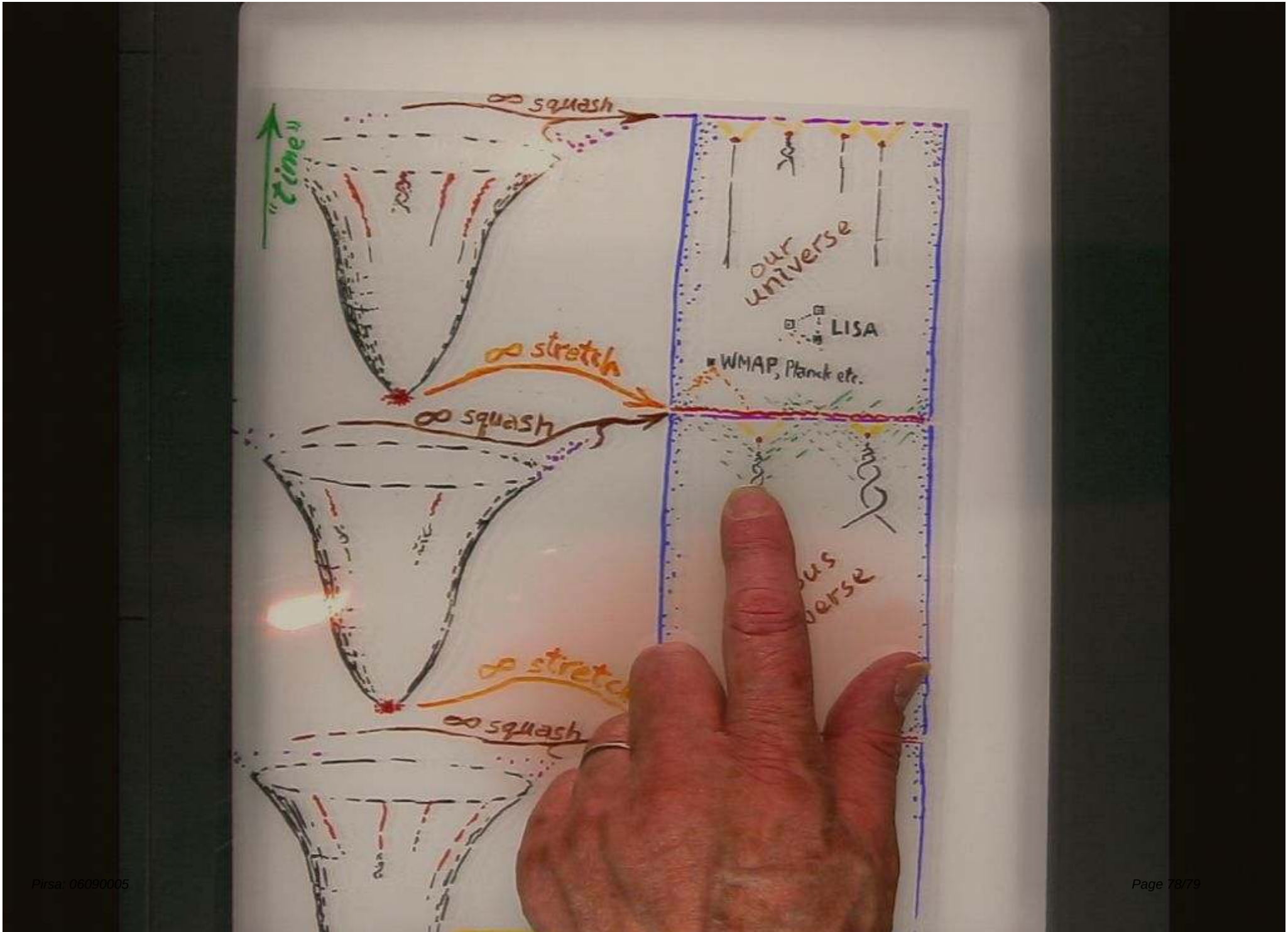
N.B. phase space has a natural volume measure determined by quantum theory

"$\left(\frac{dp_i dq_i}{\hbar}\right)^n$"

Possibilities:

- saved by volumes being infinite?
- grav. degrees of freedom "scale away"?
- $\hbar$ gets "renormalized"?
- balanced by "information loss paradox" in Hawking black-hole evaporation

Bestbet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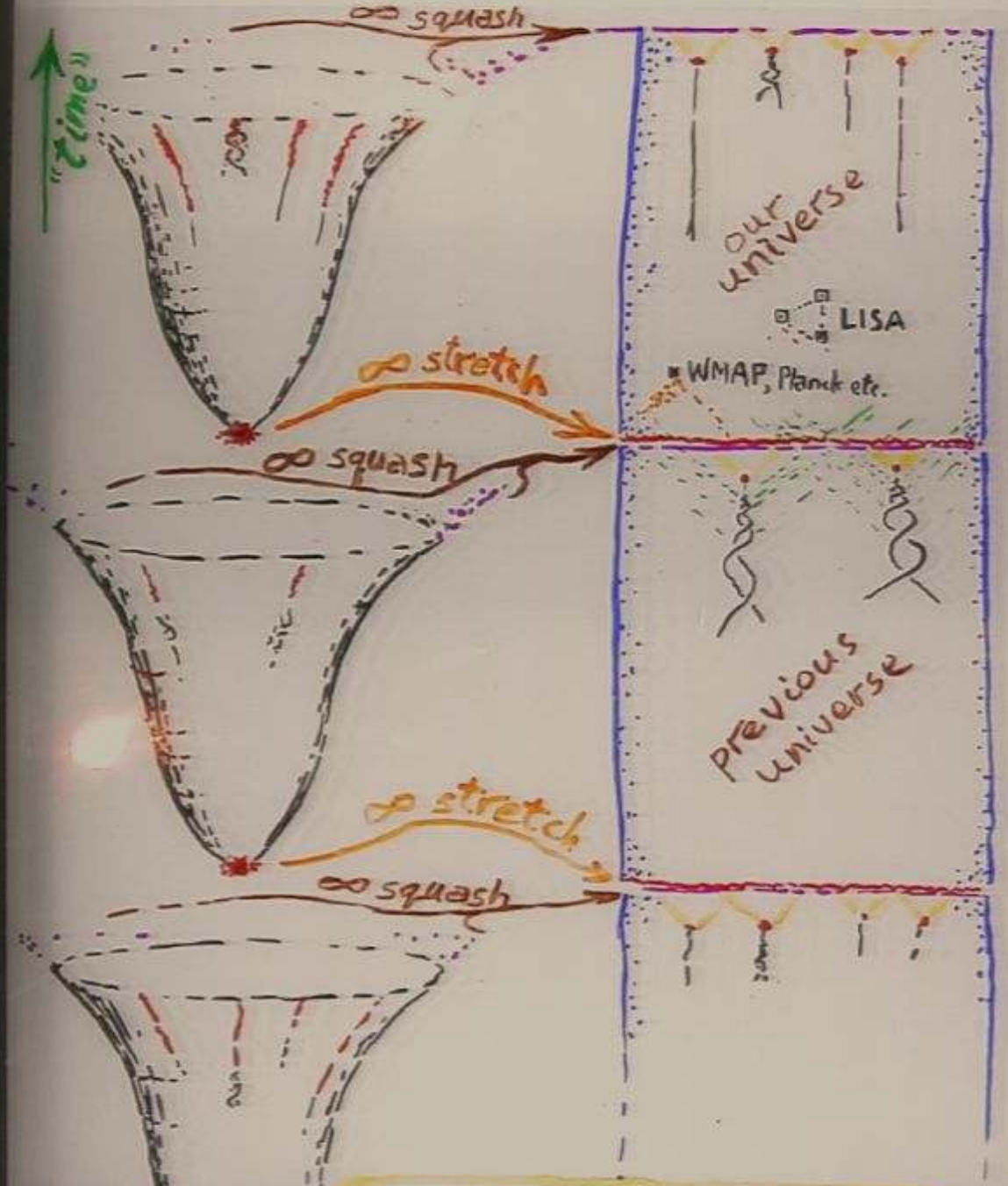
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