

Title: Cosmology 3

Date: Jun 09, 2006 10:31 AM

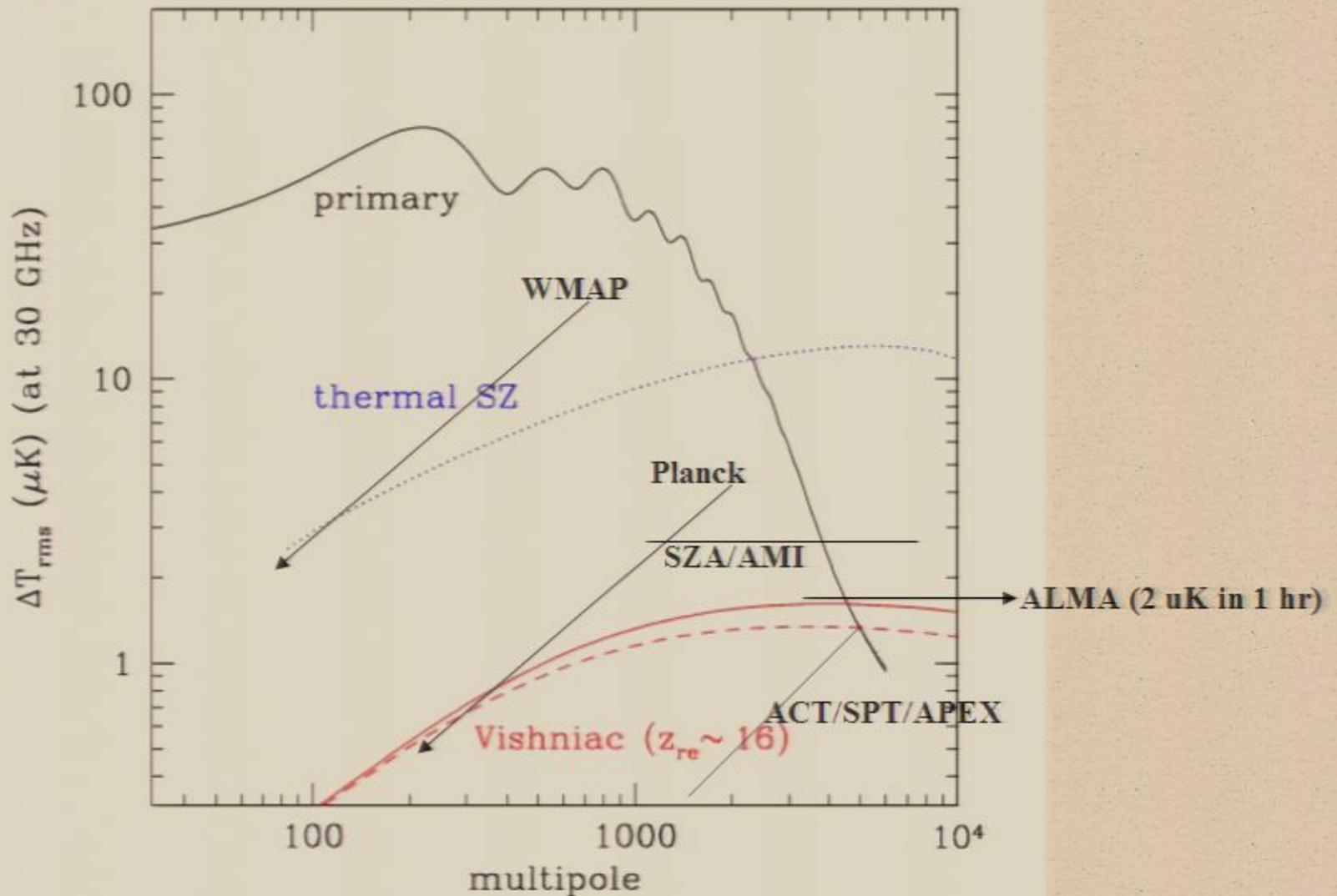
URL: <http://pirsa.org/06060021>

Abstract:

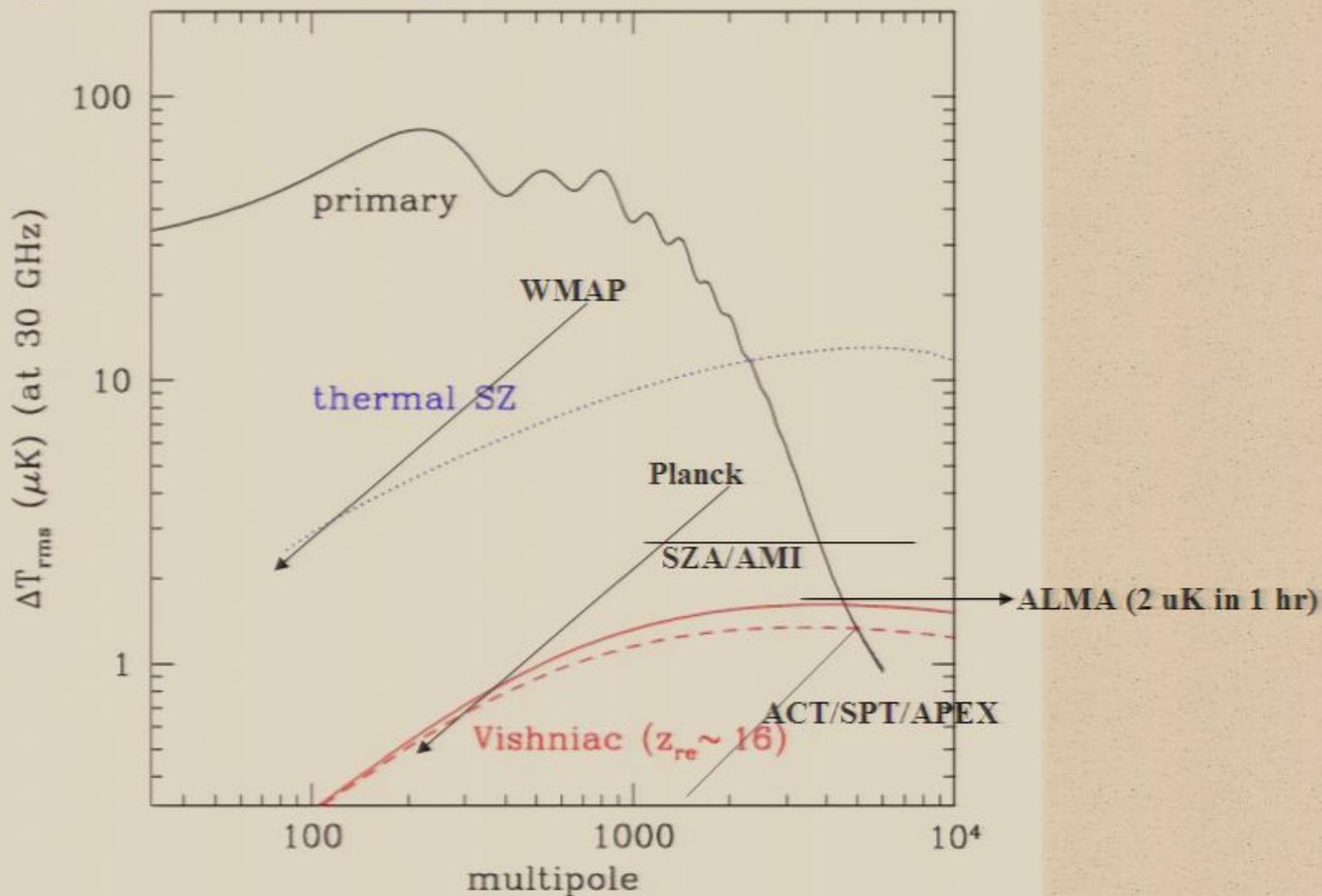
Outline/Summary

- Fine scale CMB measurement is a major new frontier
- Current evidence for a hint of more power than expected
- Excess power is difficult to explain with Sunyaev-Zeldovich effect

Measuring the CMB With Upcoming Instruments



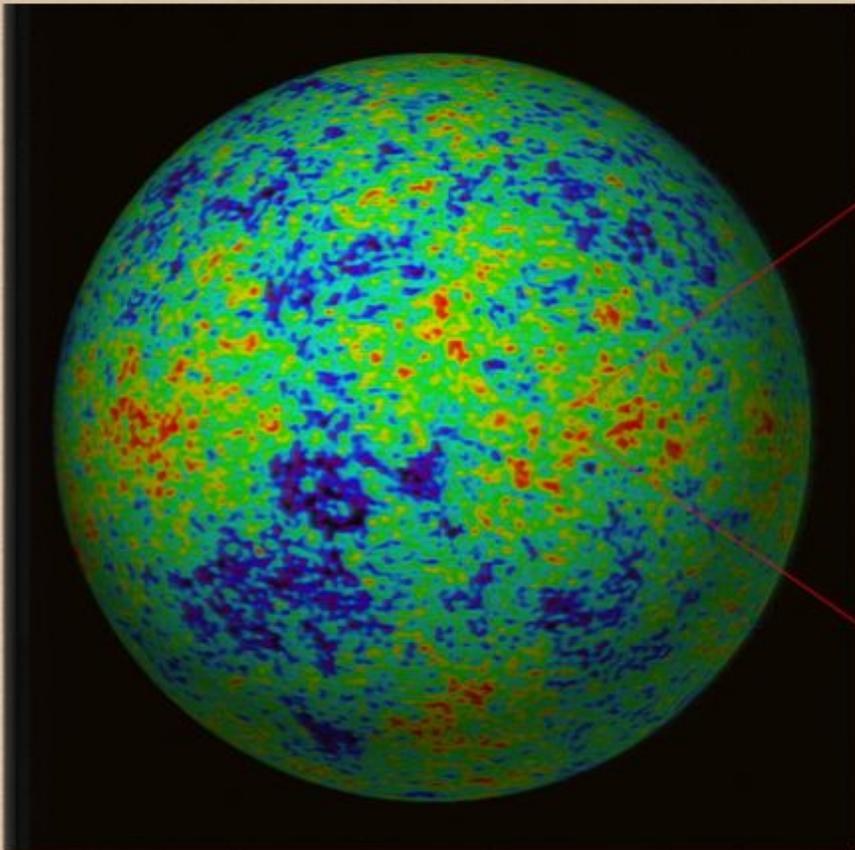
Measuring the CMB With Upcoming Instruments



CMB Science Directions

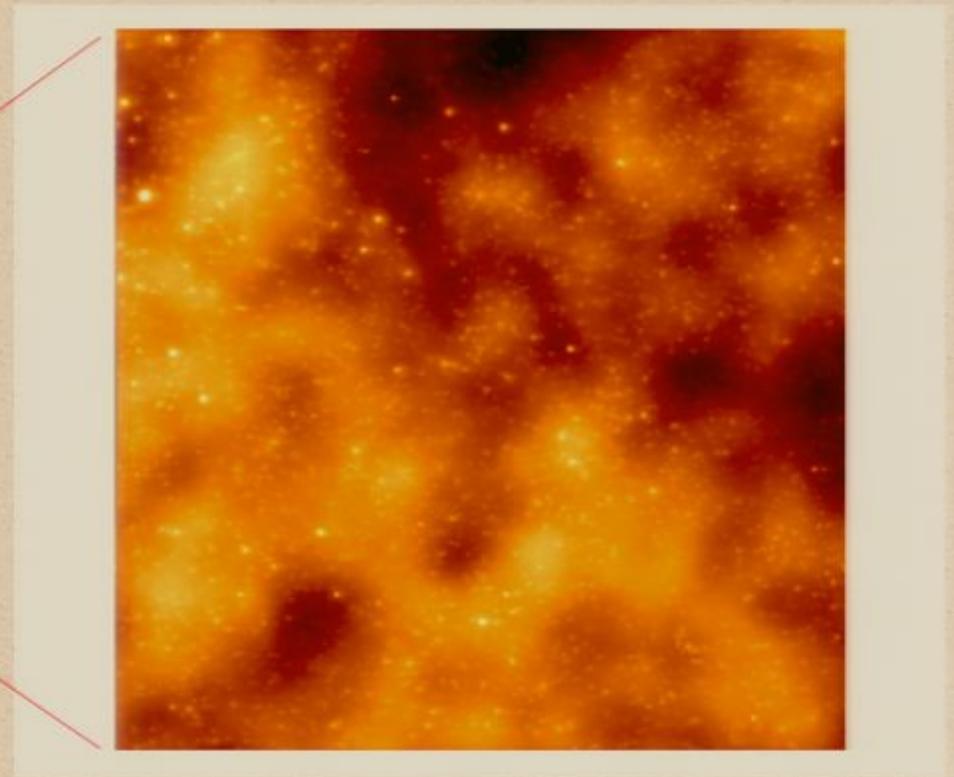
- Reionization and the first stars
 - cosmic weather
- Tensor modes from GW from inflation
- Power spectrum
- Growth of structure
 - Dark energy
 - Neutrino mass
 - GR on largest scales

The CMB at High Resolution?



WMAP image (1 degree resolution) Bennett et al 2003

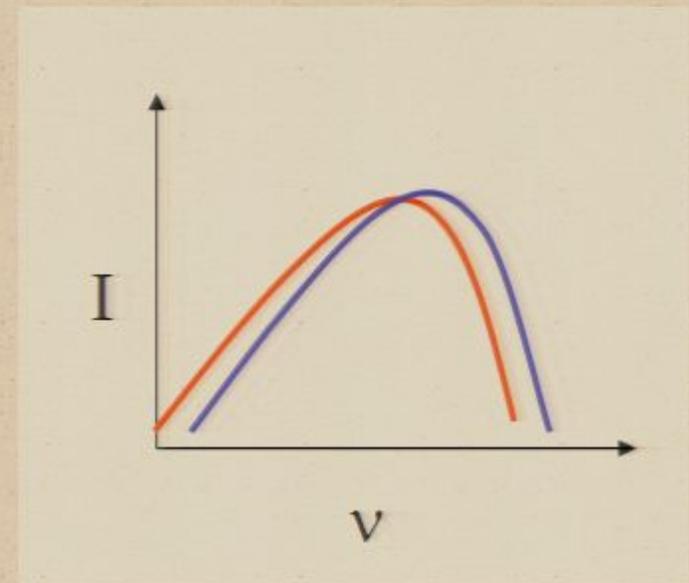
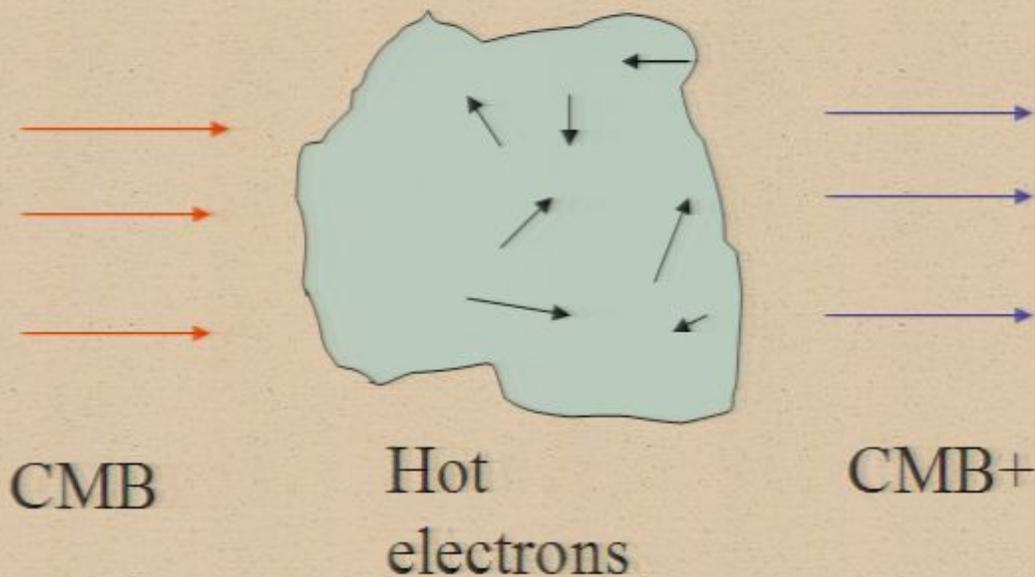
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Simulated high resolution CMB map (2 degrees by 2 degrees)

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Thermal Sunyaev-Zel'dovich Effect

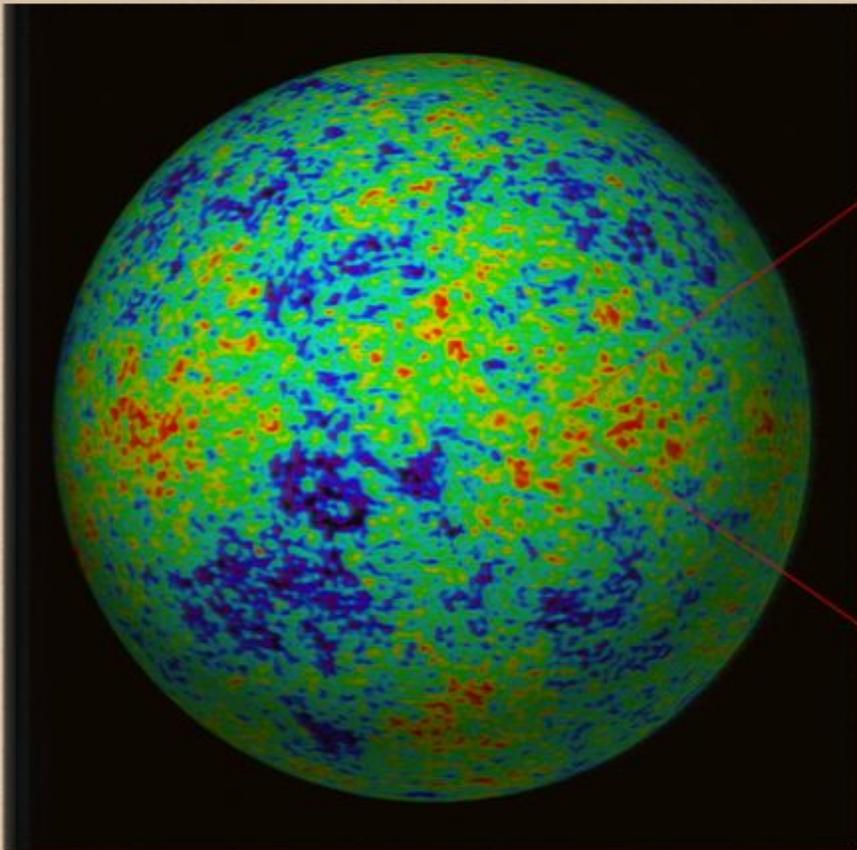


Optical depth: $\tau \sim 0.01$

Fractional energy gain per scatter: $\frac{kT}{m_e c^2} \sim 0.01$

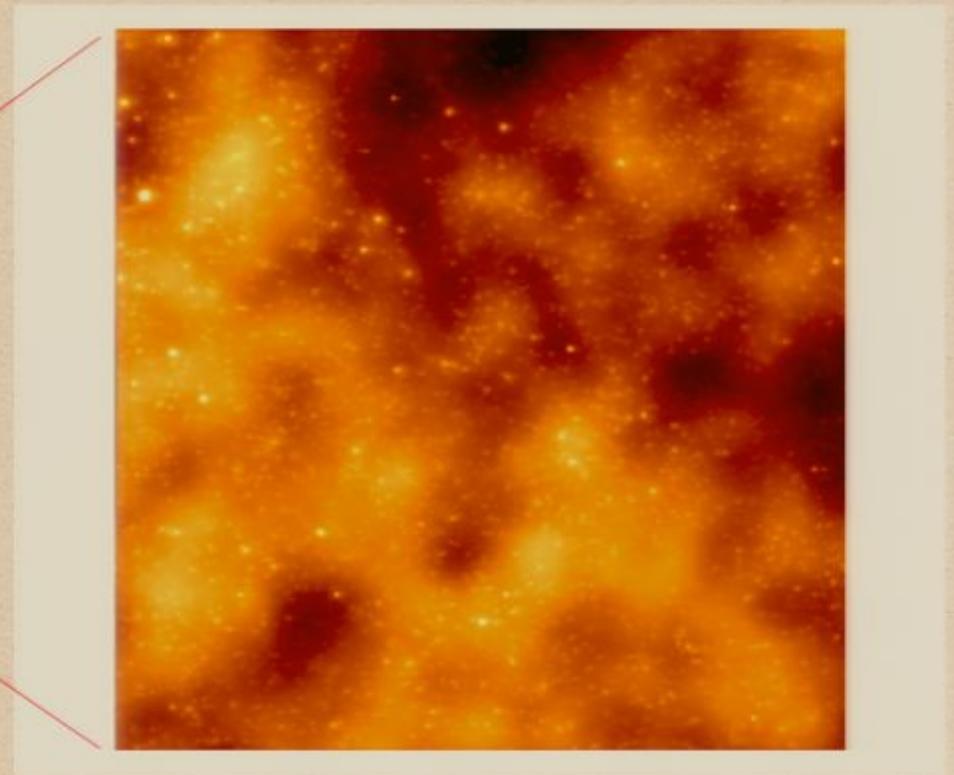
Typical cluster signal: $\sim 500 \mu\text{K}$

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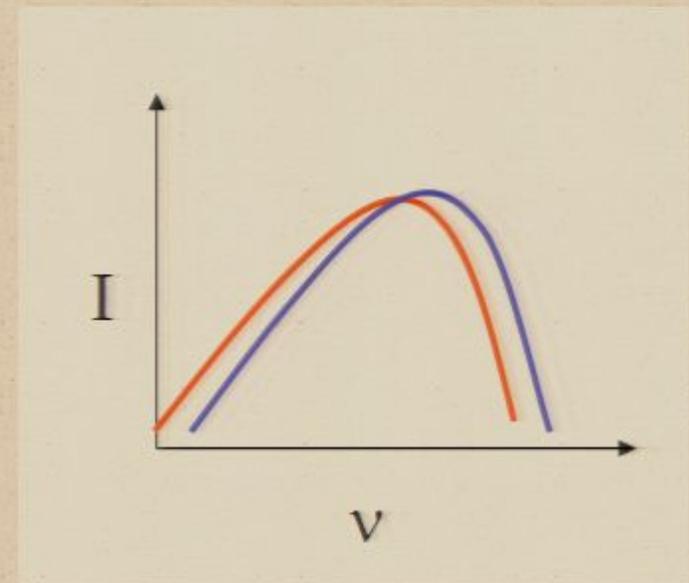
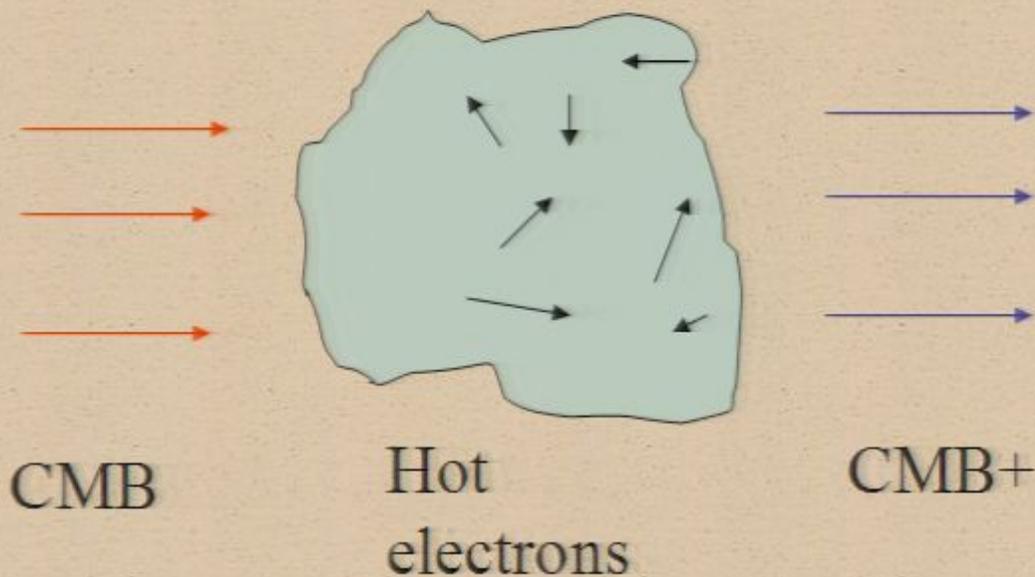
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Thermal Sunyaev-Zel'dovich Effect



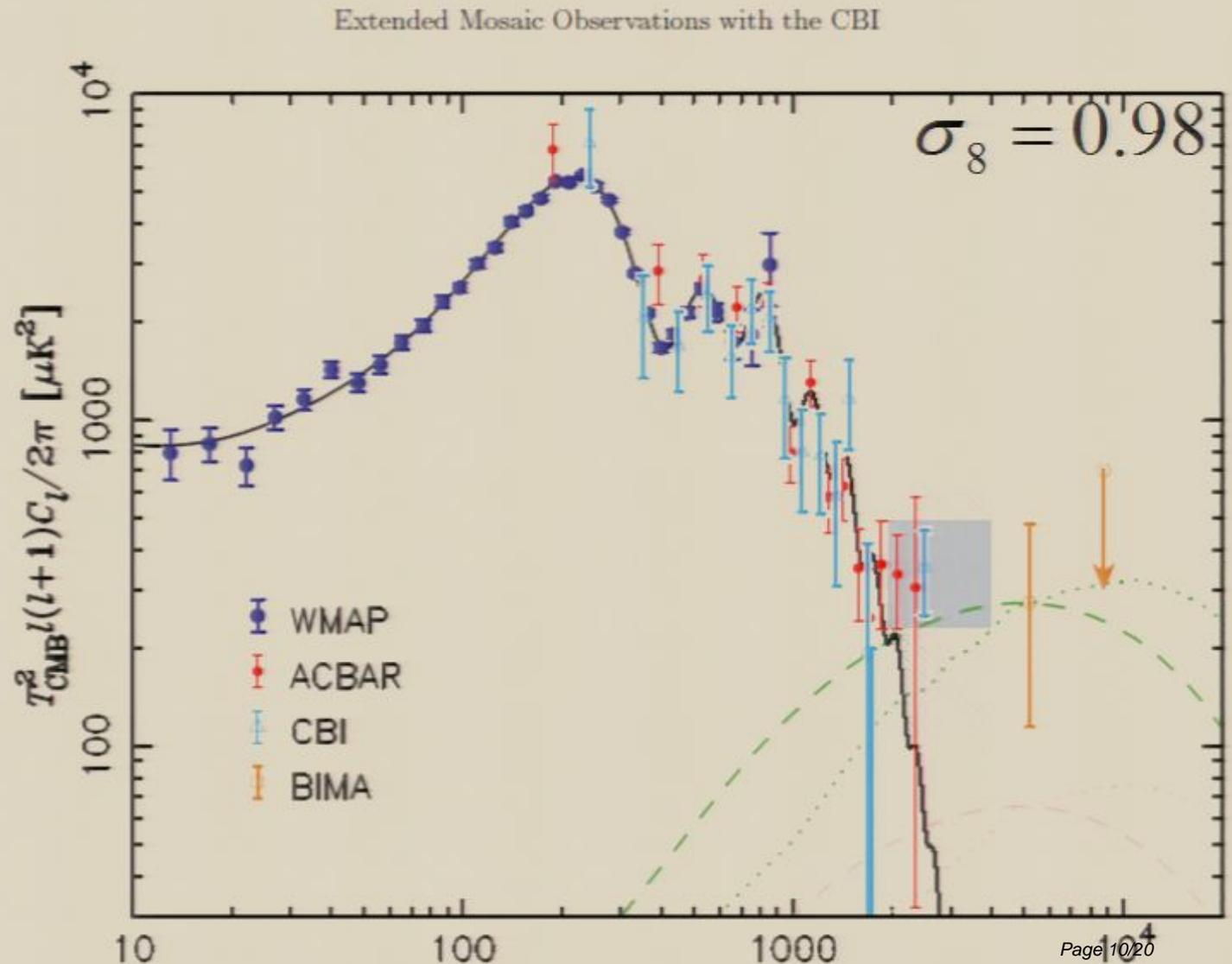
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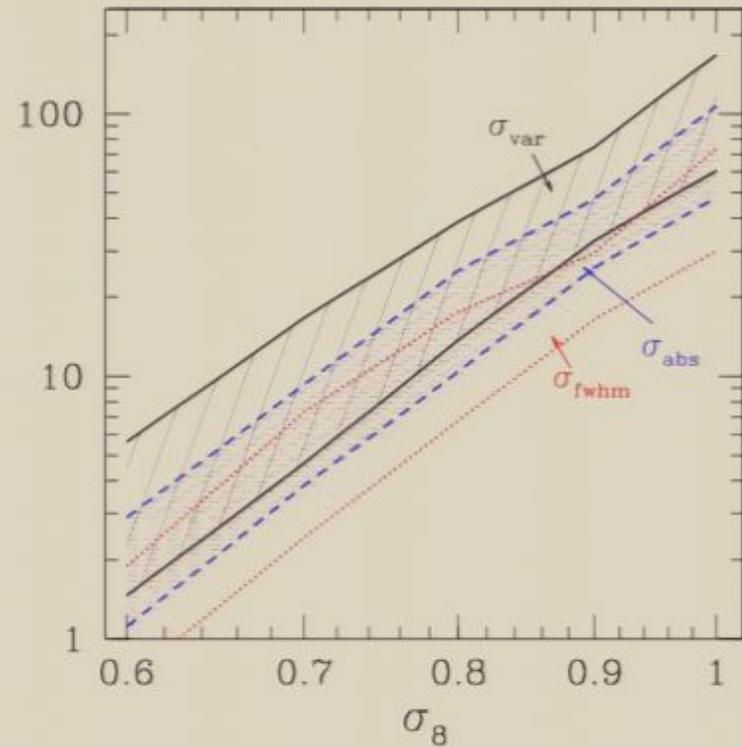
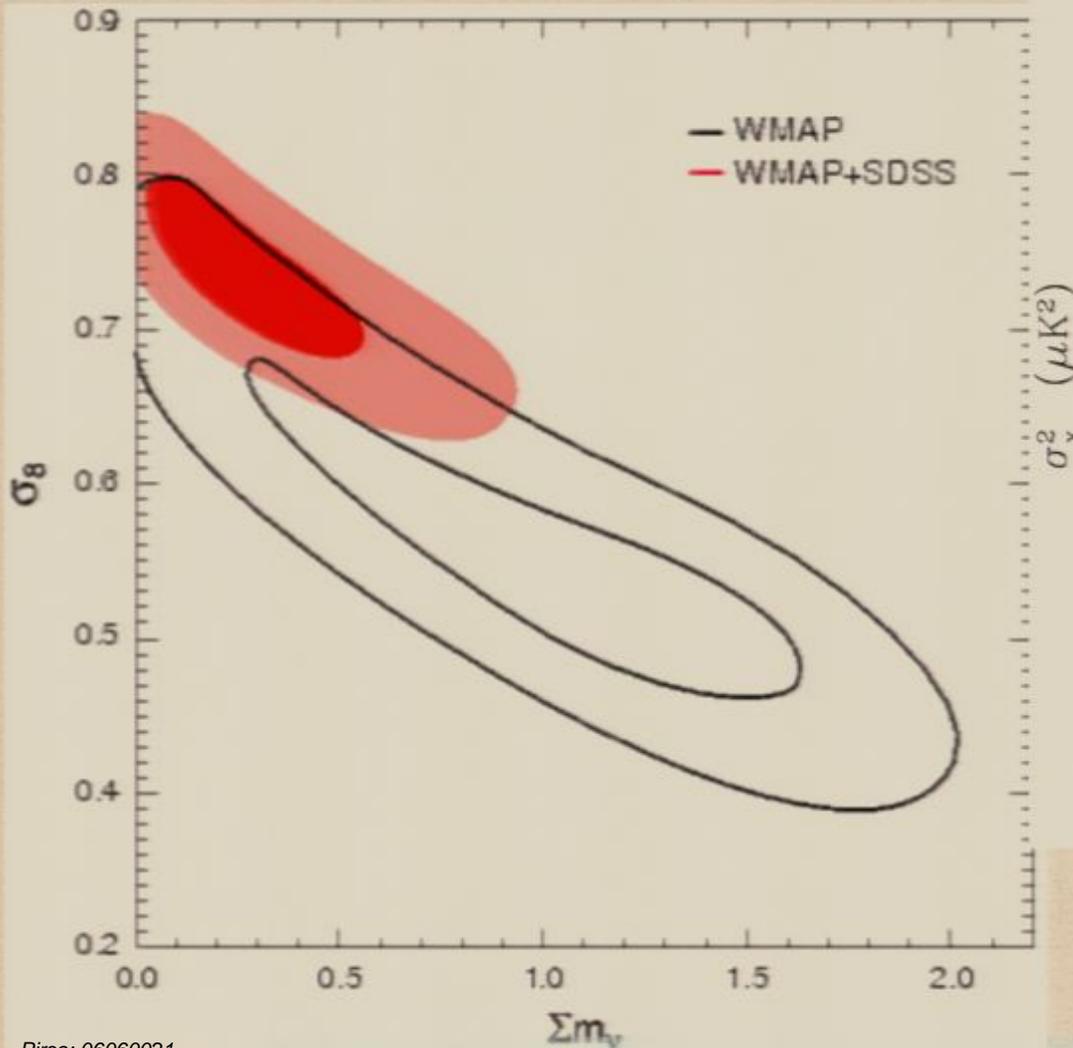
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Small Scale Anomaly?

- Too much power on small scales?



SZ Amplitude Sensitivity



Power scales
roughly as σ_8^7 !!!

Cosmic Disconcordance?

- High amplitude from SZ vs lower amplitude from primary CMB
- One possible escape: SZ power is strongly non-Gaussian

Angular power spectrum due to Poisson distribution

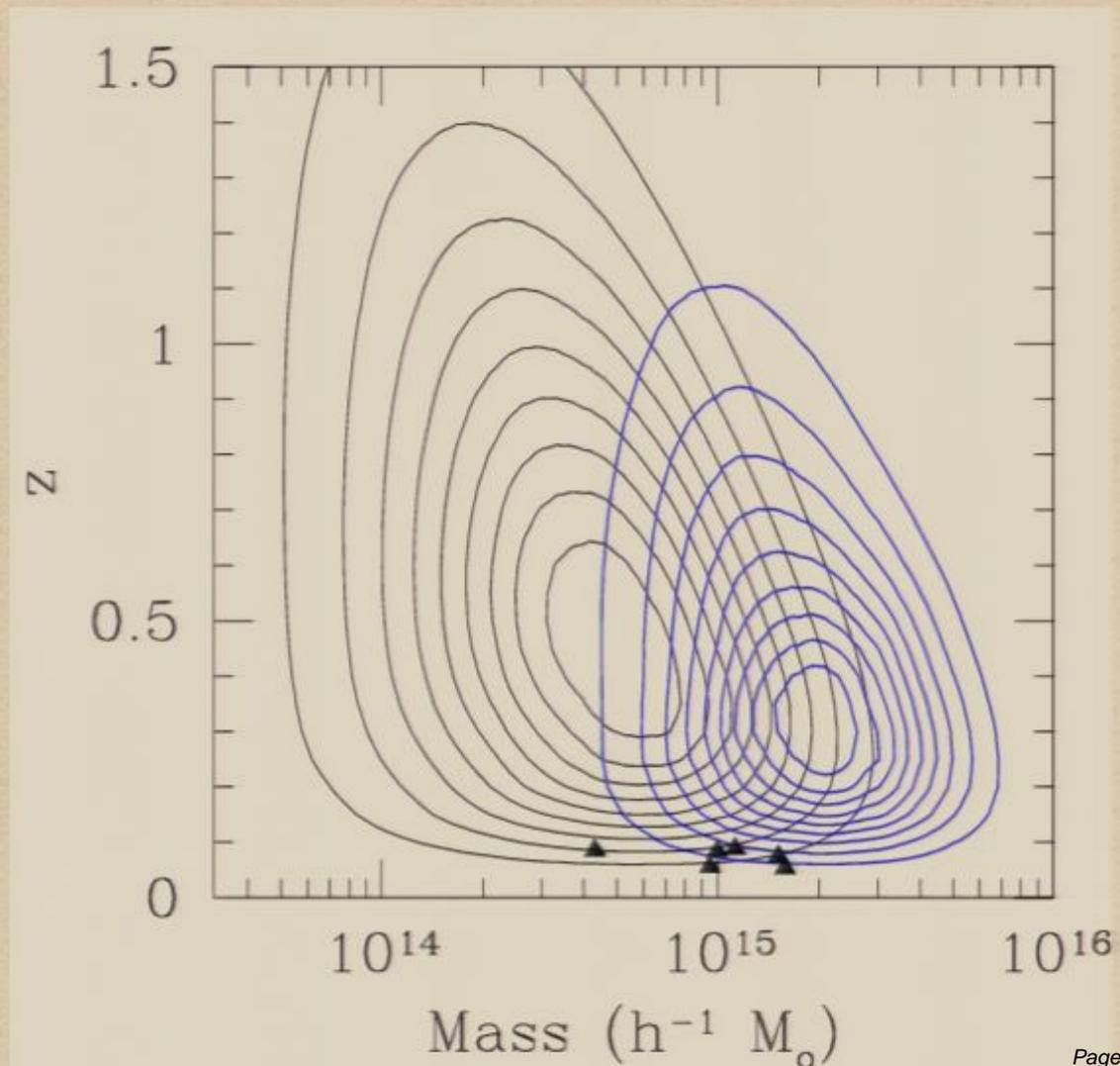
$$C_{l-sz} = \int dz \frac{dV}{dz} \int dM \frac{dn}{dM} \tilde{y}^2(l, M, z)$$

Trispectrum due to Poisson distribution - largest contribution to non-Gaussian variance

$$T_{l-sz} = \int dz \frac{dV}{dz} \int dM \frac{dn}{dM} \tilde{y}^4(l, M, z)$$

Power and non-Gaussianity

- Non-Gaussianity strongly skewed toward very high masses
- Simulations need large volumes to capture variance
- Selection effects much more important



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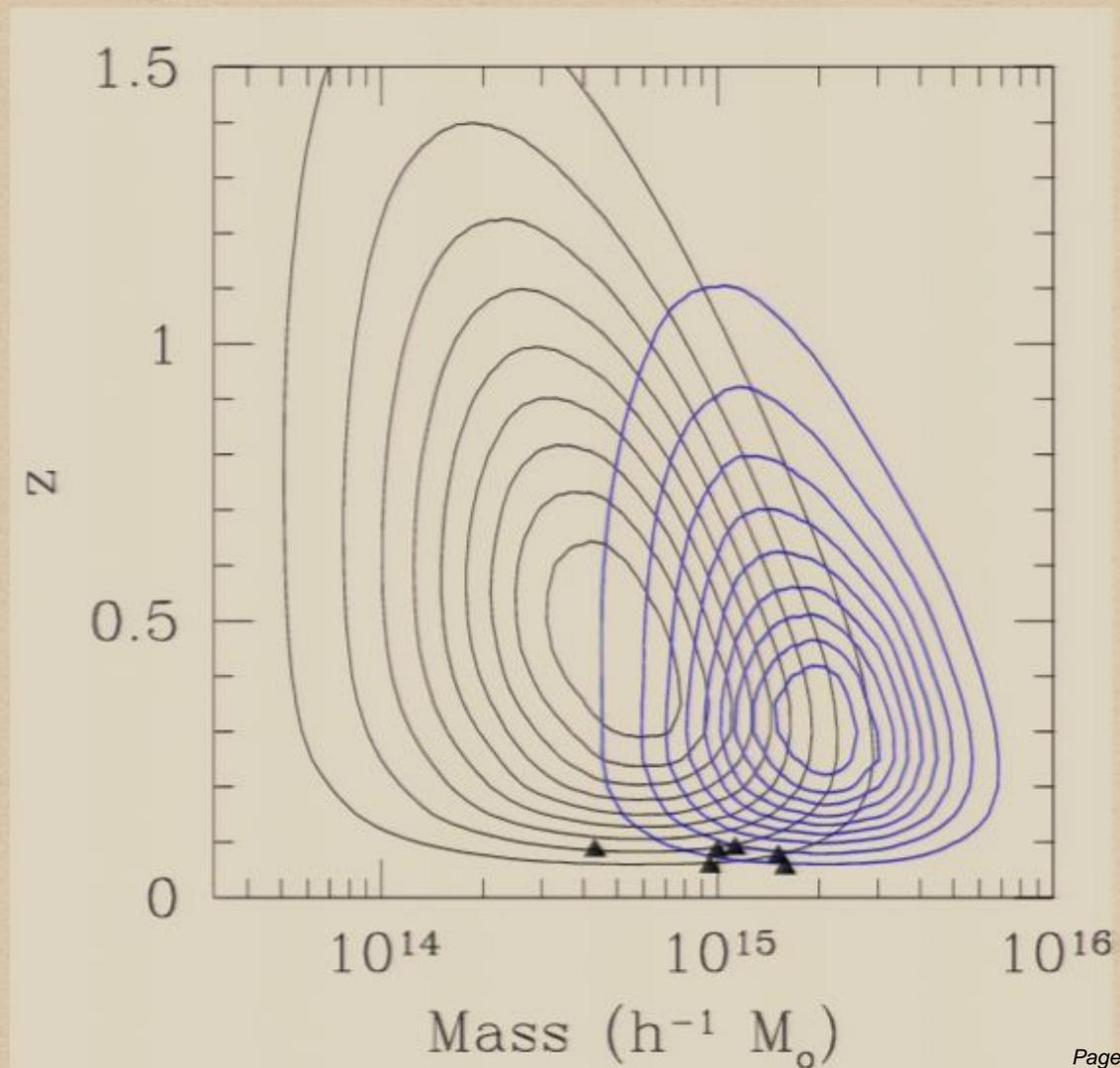
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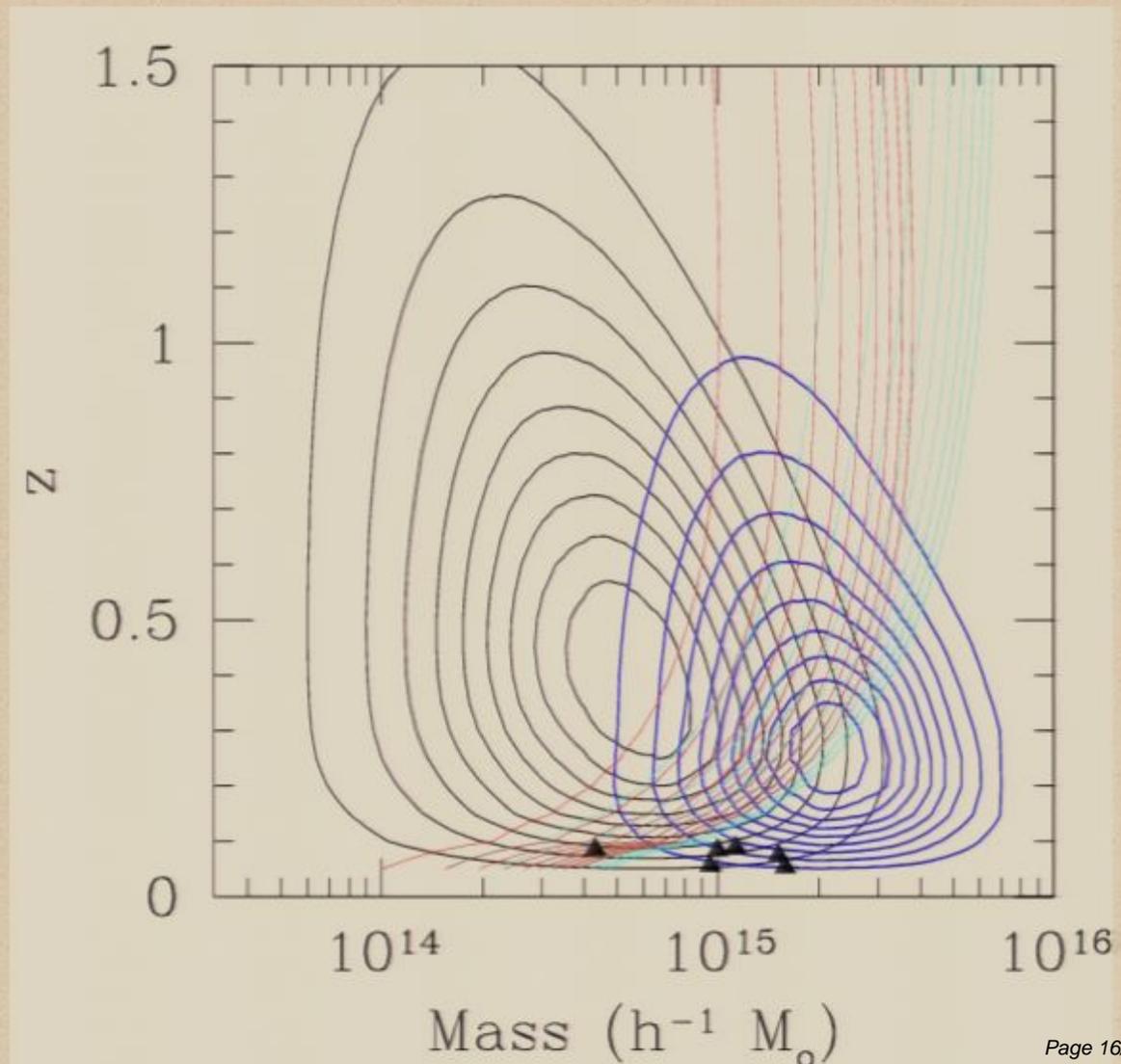
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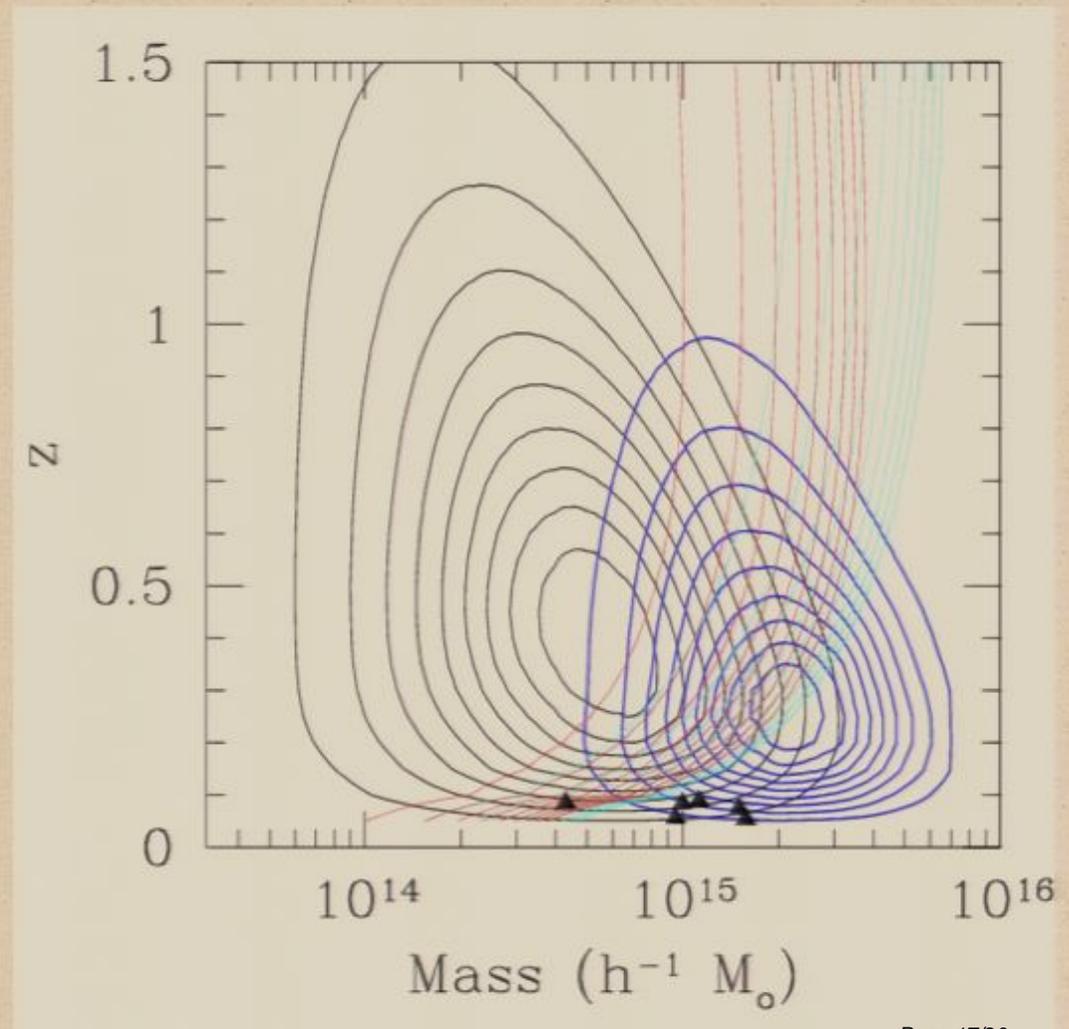
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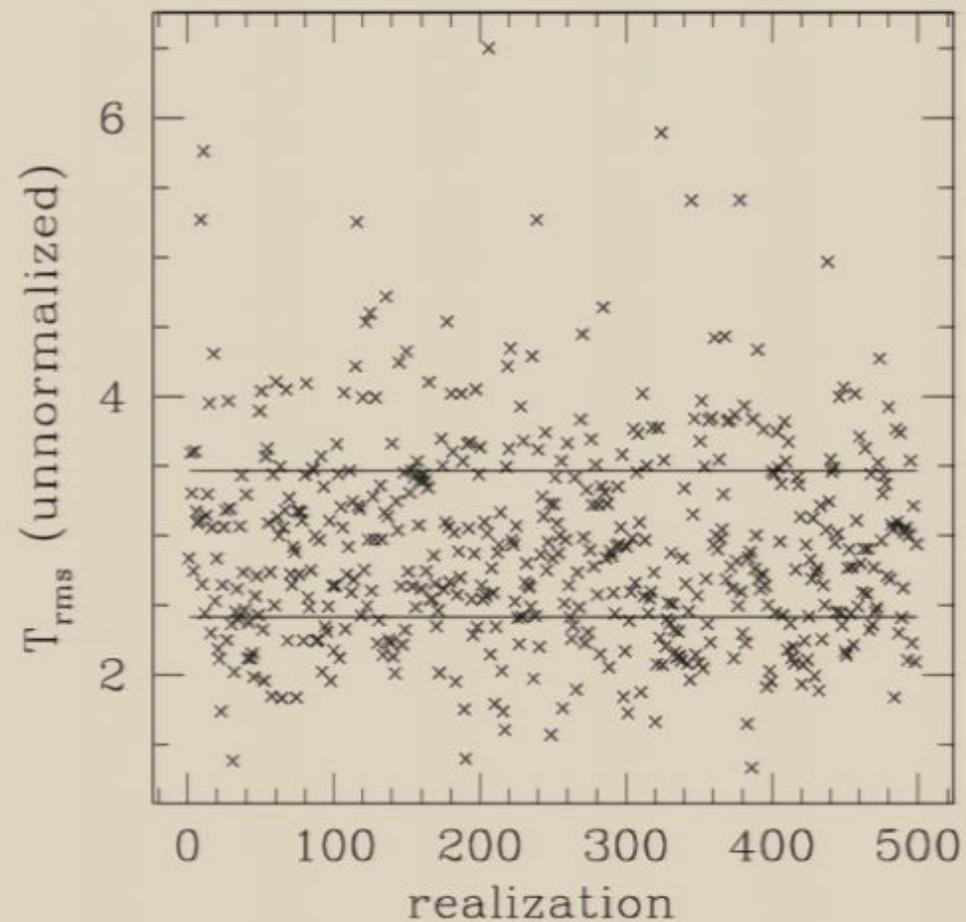
Implications

- If there is no massive cluster in your map, it probably isn't very non-Gaussian
- Non-Gaussianity will be driven by most massive cluster you can't detect



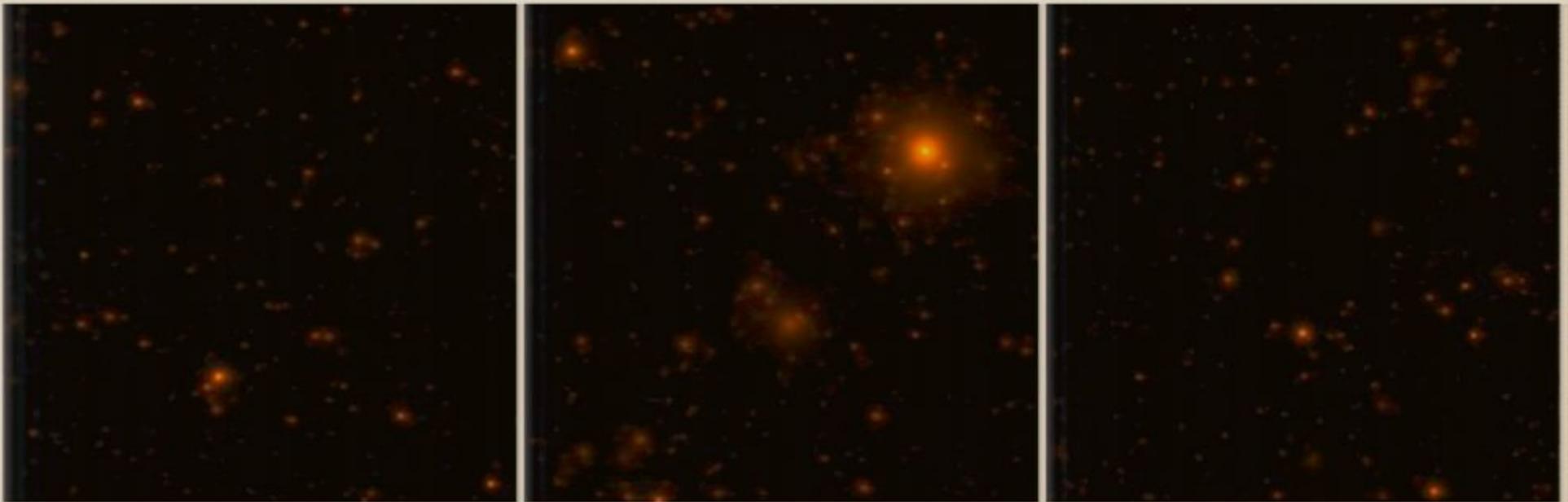
Results from simulated maps

- 500 realizations of CBI observing scheme (no noise, circular cluster profiles, using N-body initial conditions)
- Horizontal lines show Gaussian expectation
- Clearly possible to get huge excursions



Assumed $\sigma_8 = 0.8$

A non-Gaussian map



- 2 random maps and the biggest outlier in the previous distribution
- Each map roughly 1 deg on a side

Conclusions

- Curious goings-on at the small scale frontier
- Not easily explained by SZ effect (non-Gaussian explanation suggests observable object in the data)
- If not just noise fluctuations (currently about 2 sigma) then what?
- New data coming soon from new experiments...