Title: Harnessing the Quantum World

Date: Dec 02, 2004 04:20 PM

URL: http://pirsa.org/04120002

Abstract: Are you ready for this upgrade? The very foundation of computer science is changing. As Moore\'s Law draws to a close, rules of quantum physics are taking over. Learn how leading researchers are using counterintuitive effects, such as superposition, in their quest to build ultra-powerful quantum computers. You\'ll see how quantum particles behave, are controlled and, ultimately, used to calculate. <kw>quantum world, Raymond Laflamme, quantum mechanics, quantum information, quantum computing, information processing, Moore\'s Law, quantum scale, complexity theory, cryptography, qubits, quantum bits, quantum states, nuclear magnetic resonance, Turing </kw>

Pirsa: 04120002 Page 1/152





Pirsa: 04120002 Page 2/152





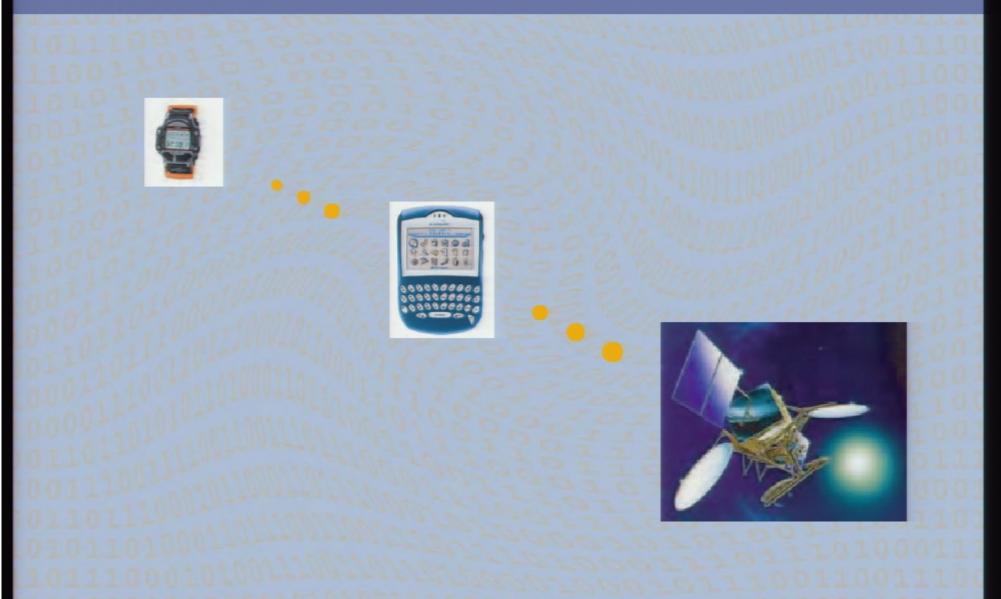


Plan

- Why quantum information?
- What is quantum computing?
- Steps towards building these devices.

500

Information Processing Devices



Pirsa: 04120002

We are advancing towards the quantum scale!

www.sciencemag.org SCIENCE VOL 285 24 SEPTEMBER 1999

SCIENCE'S COMPASS

PERSPECTIVES: DEVICE PHYSICS

50 mm. The size of transistors is decreasing rapidly, around 2020 they will be of atomic size.

Pushing the Limits

Paul A. Packan

silicor

is cov

neight

atom '

the m

ing ar

with c

accept

con at

tra ele

or the past 30 years, the semiconductor industry has followed Moore's law, which states that transistor performance and density double every 3 years (1). Although not truly a law, Gordon Moore's statement has yet to be violated. But now it seems to be in serious danger. Fundamental thermodynamic limits are being reached in critical areas, and unless new, innovative solutions are found, the current rate of improvement cannot be maintained.

The dominant electronic device used to-Pirsa: 04120002 day in integrated circuits is the silicon-

These fundamental issues have not previously limited the scaling of transistors and represent a considerable challenge for the semiconductor industry. There are currently no known solutions to these problems. To continue the performance trends of the past 20 years and maintain Moore's law of improvement will be the most difficult challenge the semiconductor industry has ever faced.

References

1. G. Moore, IEDM Tech. Dig. (1975), p. 11 tor scannig Retailment of Ab. (EEE) Solid-State Circuits SC-9,

centration of these donor and accepto atoms to maintain a constant total charg

Intel scientists find wall for Moore's Law

per chips

Enterprise hardware

By Michael Kanellos Staff Writer, CNET News.com

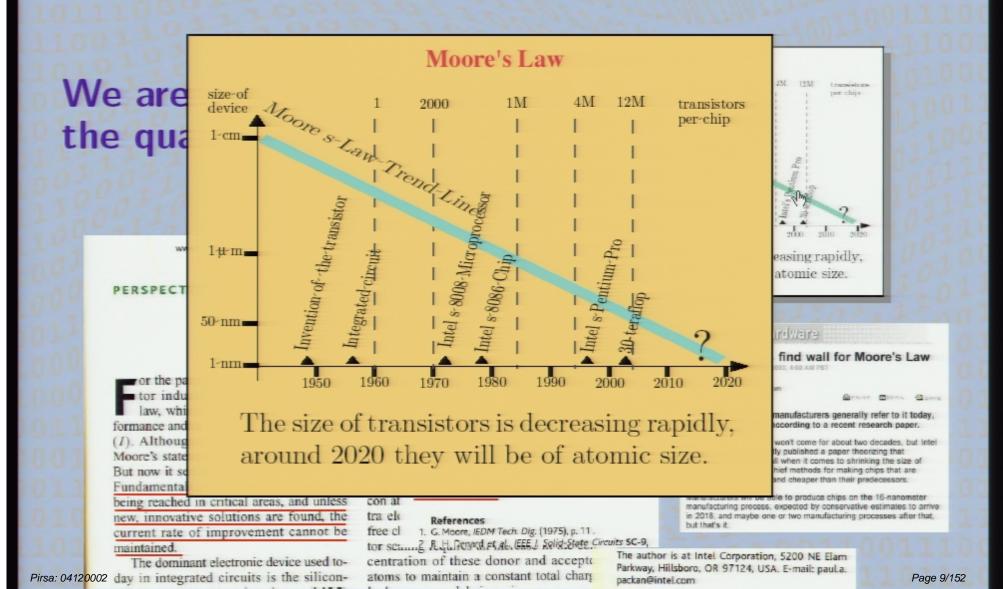
Moore's Law, as chip manufacturers generally refer to it today. is coming to an end, according to a recent research paper.

Granted, that end likely won't come for about two decades, but Intel researchers have recently published a paper theorizing that chipmakers will hit a wall when it comes to shrinking the size of transistors, one of the chief methods for making chips that are smaller, more powerful and cheaper than their predecessors.

Manufacturers will be able to produce chips on the 16-nanometer manufacturing process, expected by conservative estimates to arrive in 2018, and maybe one or two manufacturing processes after that, but that's it.

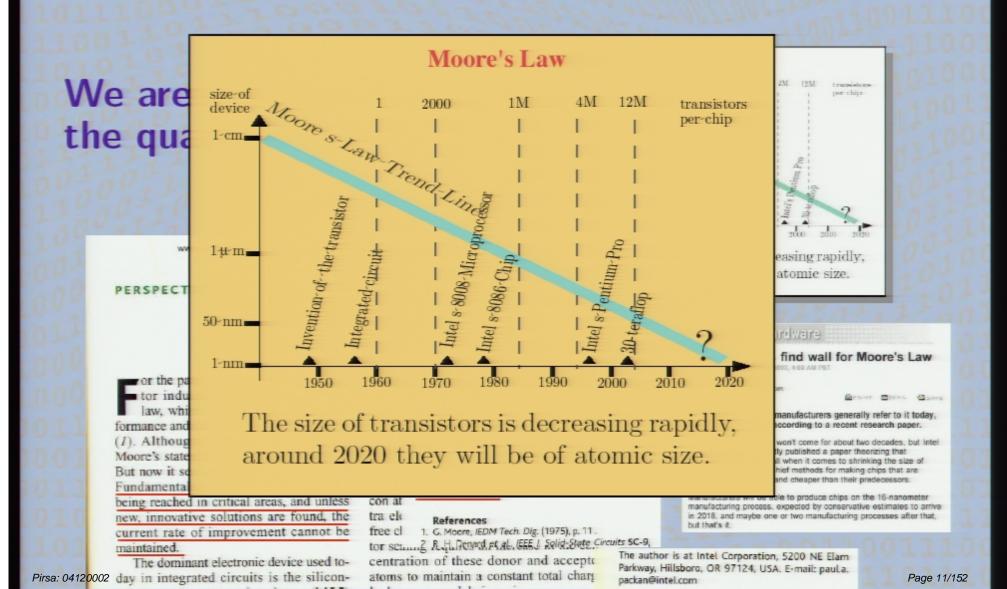
The author is at Intel Corporation, 5200 NE Elam Parkway, Hillsboro, OR 97124, USA. E-mail: paul.a. packan@intel.com

Why Quant. Info. Processing?





Why Quant. Info. Processing?



Quantum mechanics was discovered 100 years ago:

- o for more than the first half a century we struggled to understand its implications at describing the world around us: quantum mechanics is seen as an obstacle
- there has been technology using some feature of quantum mechanics: the transistor, the laser, MRI
- Moore's law suggests that we need to control quantum systems
- around 1980 things have started to change...

merally refer to it today. cent research paper.

being reached in critical areas, and unless new, innovative solutions are found, the current rate of improvement cannot be

The dominant electronic device used to-Pirsa: 04120002 day in integrated circuits is the silicon-

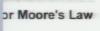
has ever faced. con at tra ele

References

1. G. Moore, IEDM Tech. Dig. (1975), p. 11 tor scannig R. H. Denvid et al., EEE J. Solid-State Circuits SC-9,

centration of these donor and accepto atoms to maintain a constant total charg manufacturing process, expected by conservative estimates to arrive in 2018, and maybe one or two manufacturing processes after that,

The author is at Intel Corporation, 5200 NE Elam Parkway, Hillsboro, OR 97124, USA. E-mail: paul.a. packan@intel.com





out two decades, but Intel

We are advancing towards the quantum scale!

www.sciencemag.org SCIENCE VOL 285 24 SEPTEMBER 1999

SCIENCE'S COMPASS

PERSPECTIVES: DEVICE PHYSICS

Pushing the Limits

Paul A. Packan

silicor

is cov

neight

atom '

the m

ing ar

with c

accept

con at

tra ele

or the past 30 years, the semiconductor industry has followed Moore's law, which states that transistor performance and density double every 3 years (1). Although not truly a law, Gordon Moore's statement has yet to be violated. But now it seems to be in serious danger. Fundamental thermodynamic limits are being reached in critical areas, and unless new, innovative solutions are found, the current rate of improvement cannot be maintained.

The dominant electronic device used to-Pirsa: 04120002 day in integrated circuits is the silicon-

These fundamental issues have not previously limited the scaling of transistors and represent a considerable challenge for the semiconductor industry. There are currently no known solutions to these problems. To continue the performance trends of the past 20 years and maintain Moore's law of improvement will be the most difficult challenge the semiconductor industry has ever faced.

References

1. G. Moore, IEDM Tech. Dig. (1975), p. 11 tor scannig R. H. Denvid et al., EEE J. Solid-State Circuits SC-9,

centration of these donor and accepto atoms to maintain a constant total charg



The size of transistors is decreasing rapidly, around 2020 they will be of atomic size.

Enterprise hardware

Intel scientists find wall for Moore's Law

per chip

By Michael Kanellos Staff Writer, CNET News.com

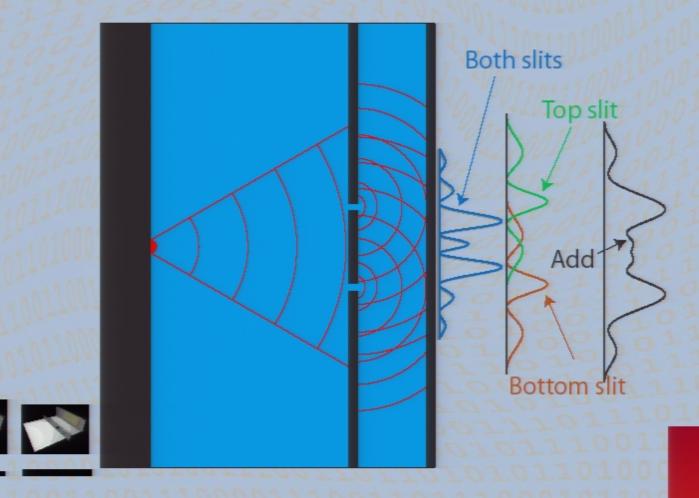


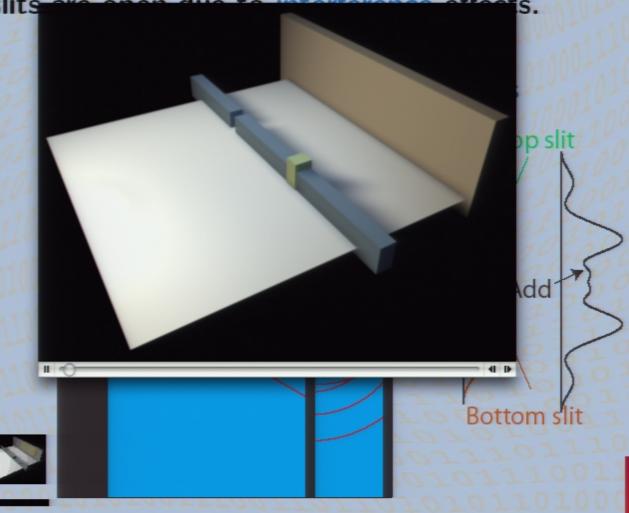
Moore's Law, as chip manufacturers generally refer to it today. is coming to an end, according to a recent research paper.

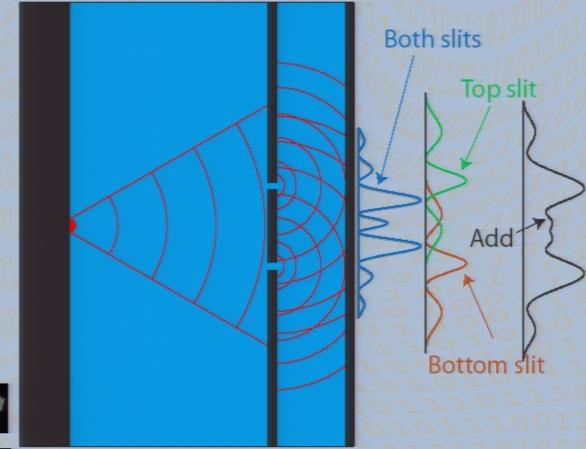
Granted, that end likely won't come for about two decades, but Intel researchers have recently published a paper theorizing that chipmakers will hit a wall when it comes to shrinking the size of transistors, one of the chief methods for making chips that are smaller, more powerful and cheaper than their predecessors.

Manufacturers will be able to produce chips on the 16-nanometer manufacturing process, expected by conservative estimates to arrive in 2018, and maybe one or two manufacturing processes after that, but that's it.

The author is at Intel Corporation, 5200 NE Elam Parkway, Hillsboro, OR 97124, USA. E-mail: paul.a. packan@intel.com



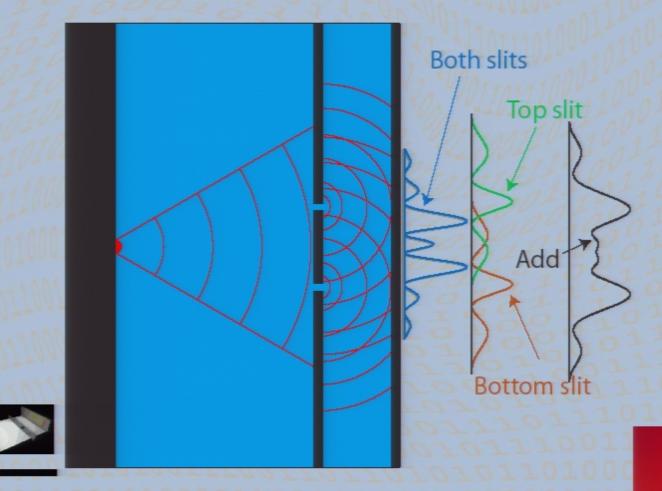


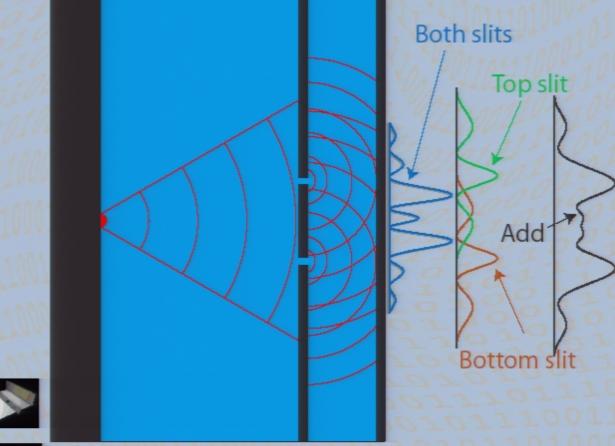








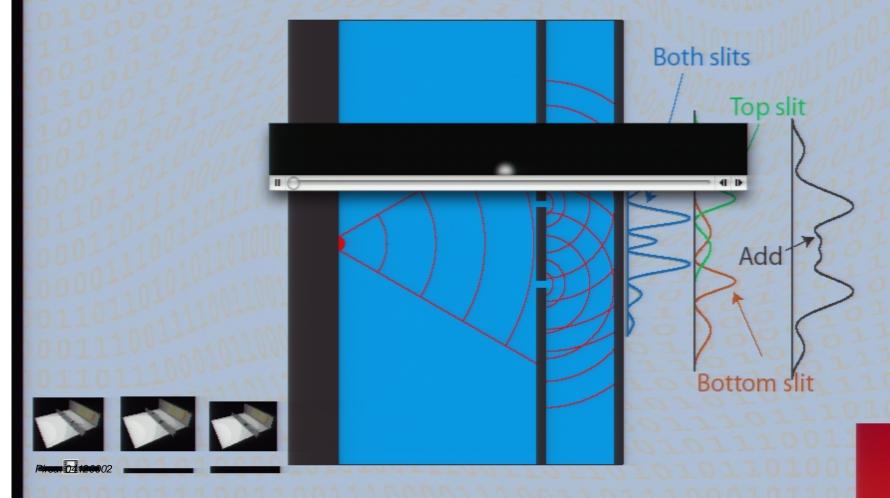


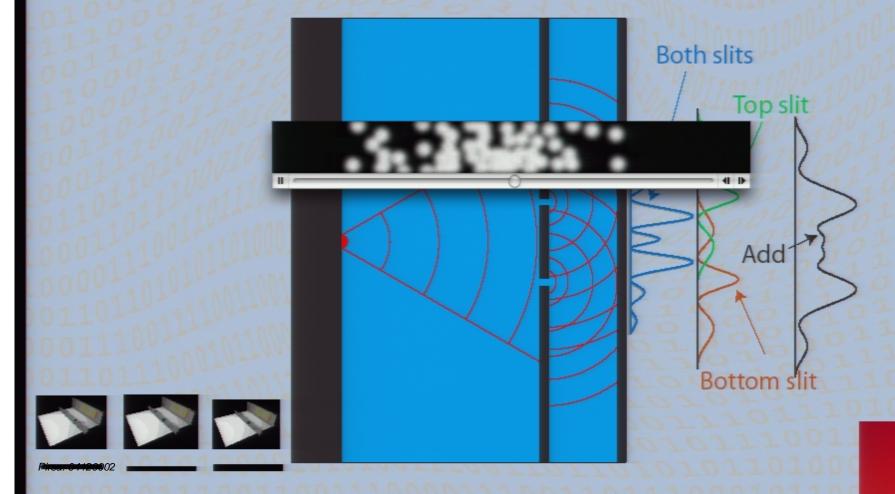


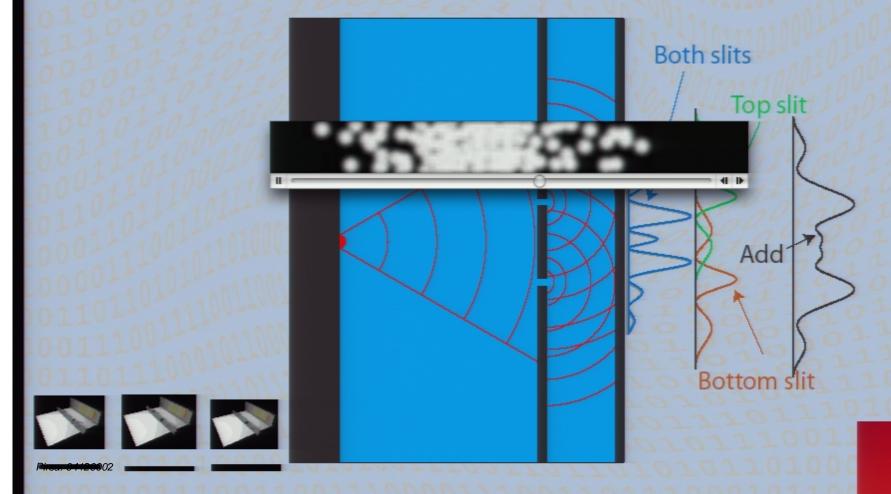


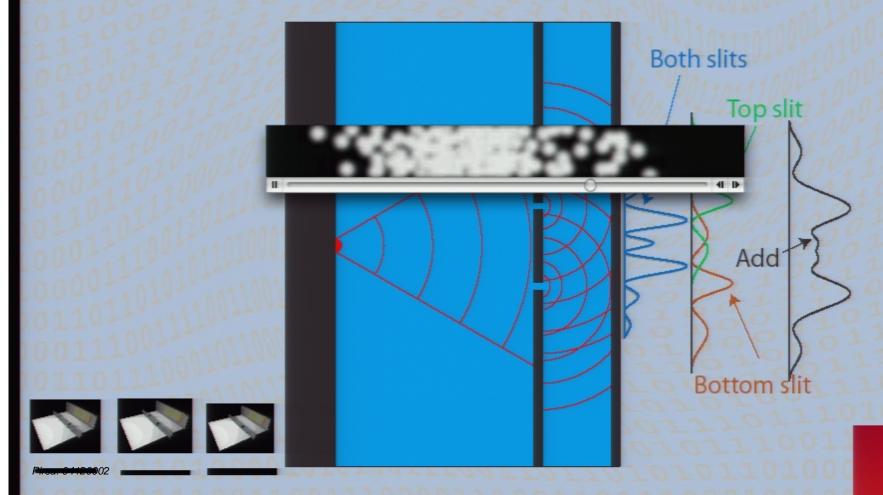


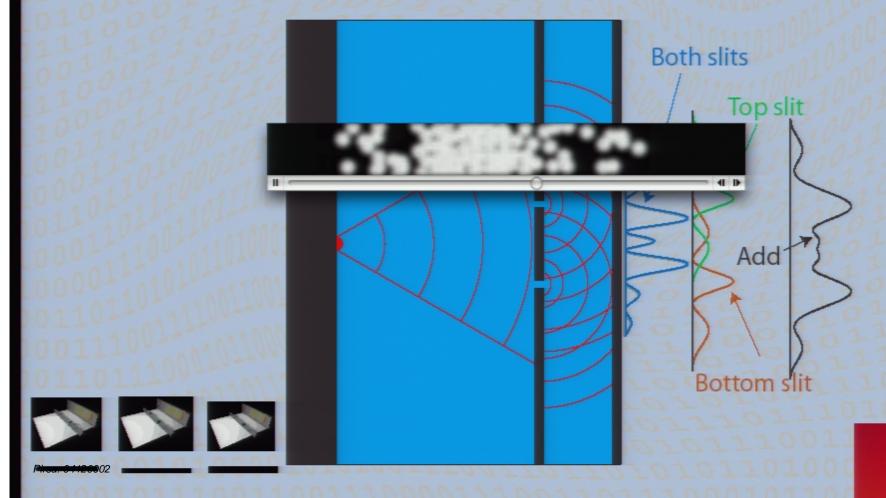


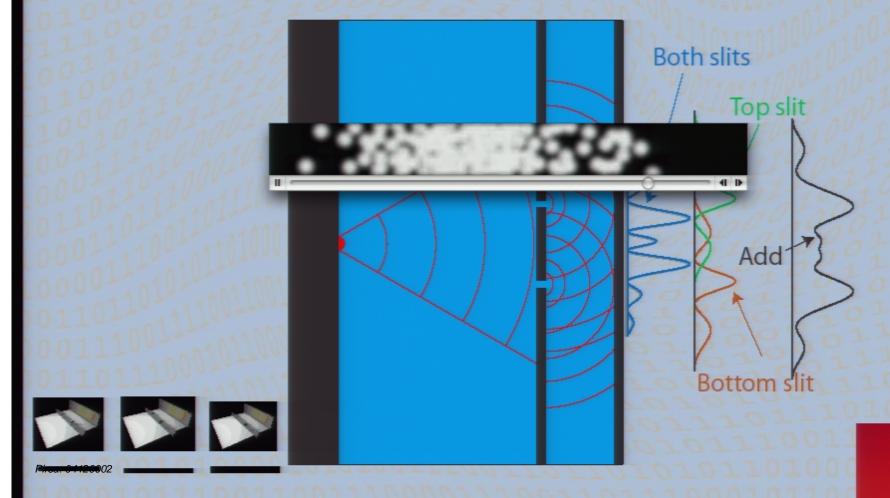


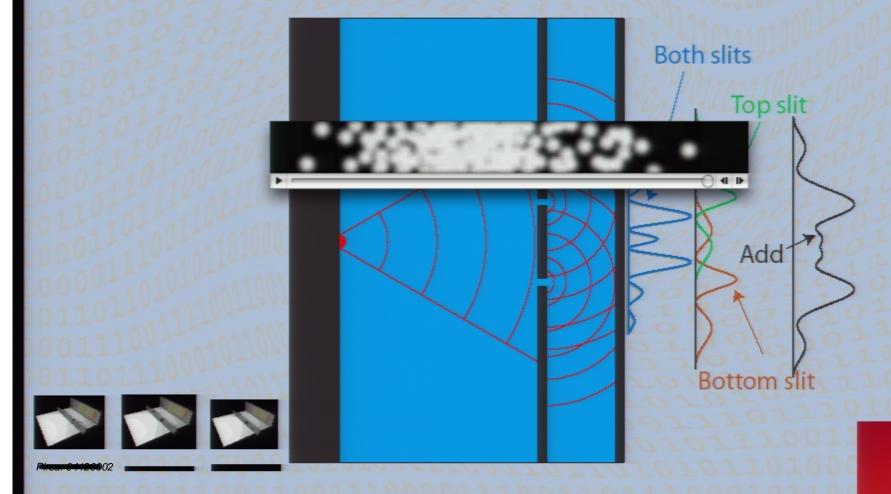


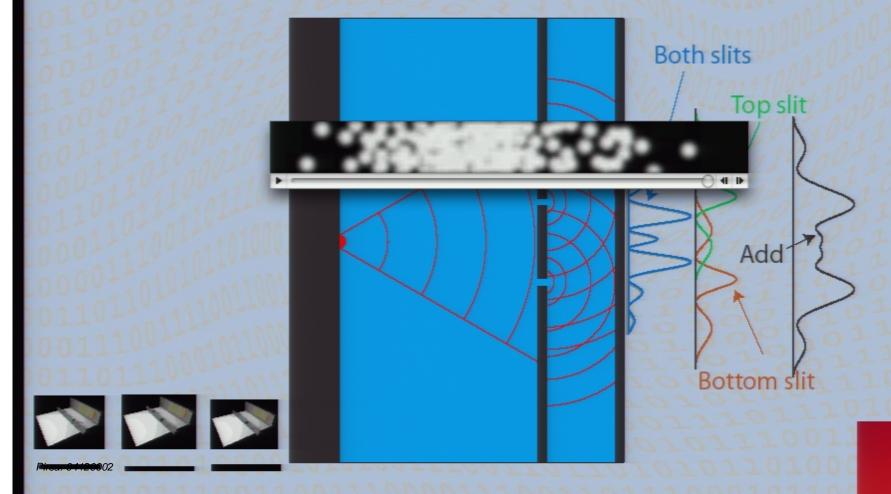


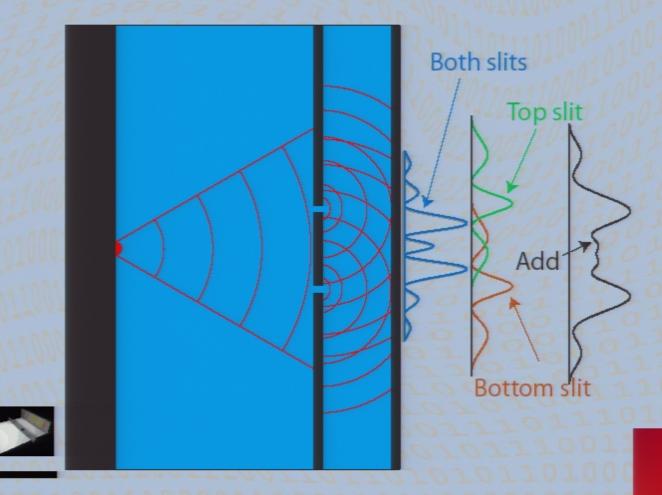


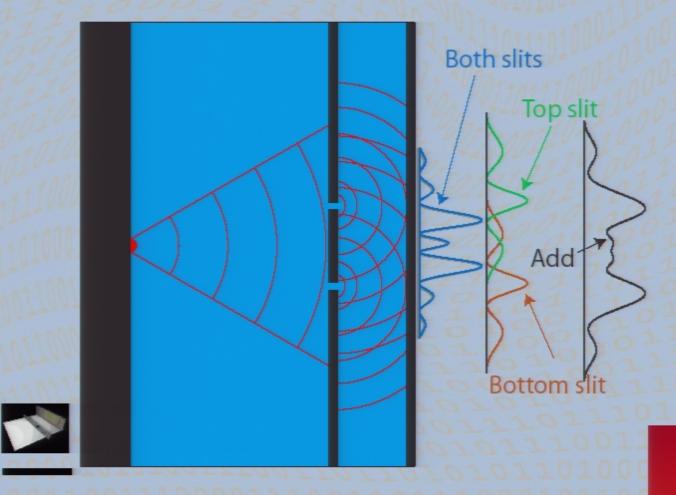


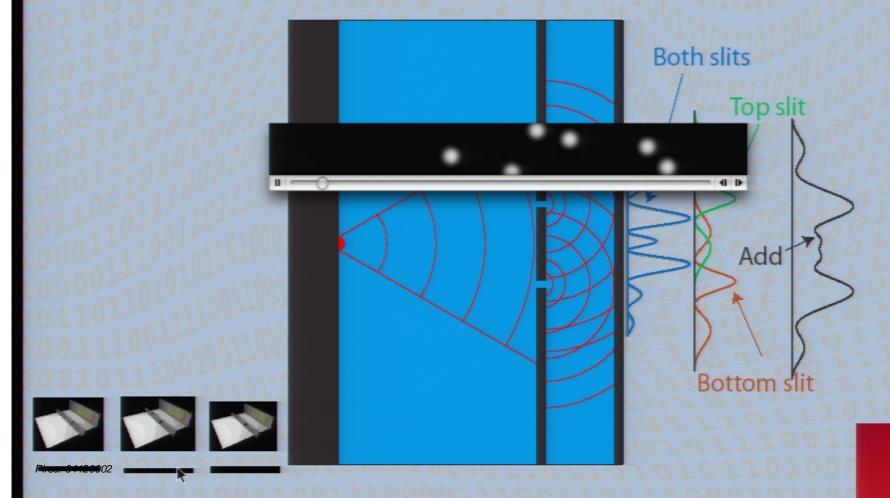


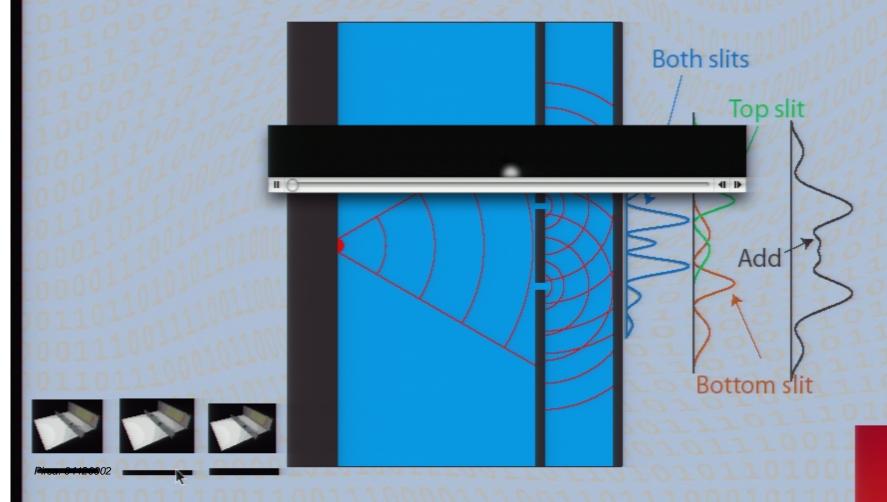


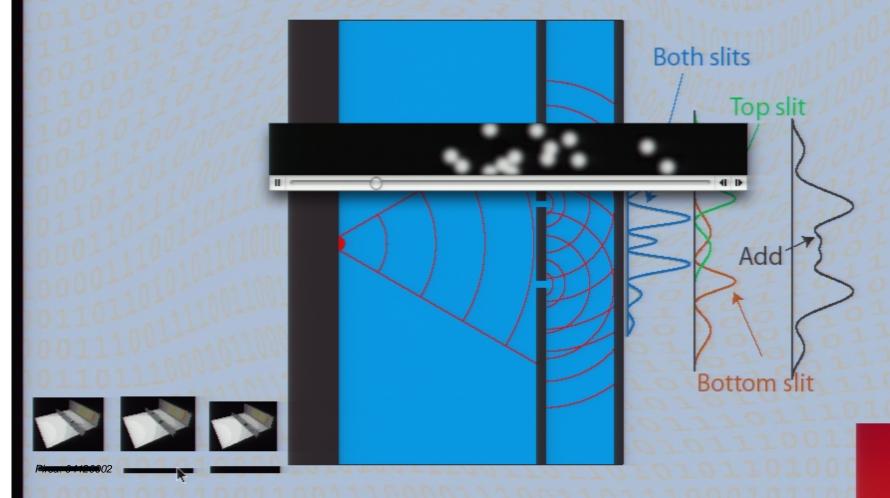


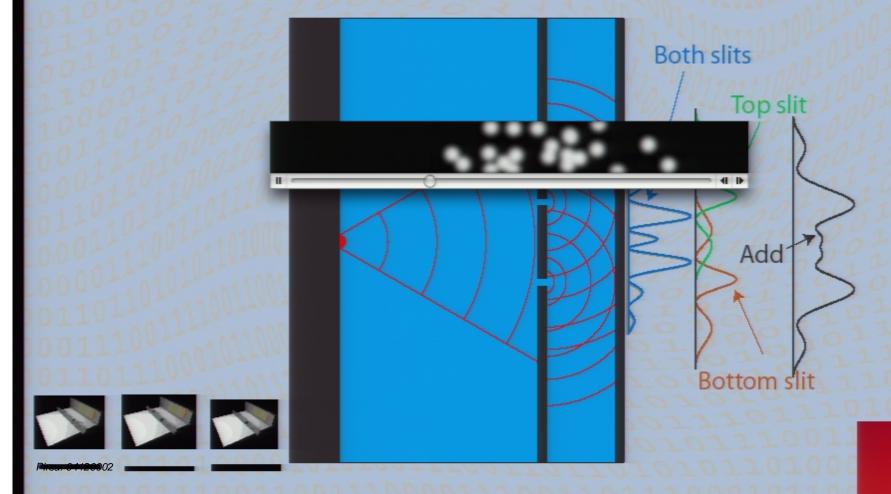


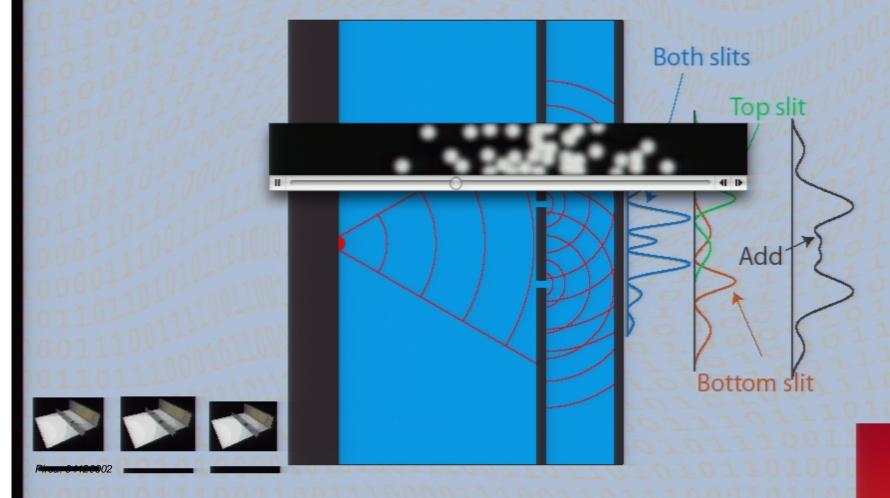


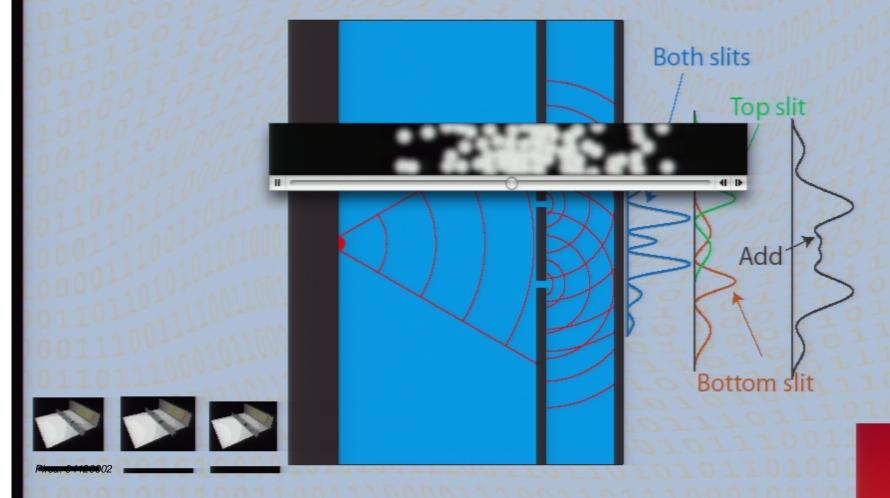


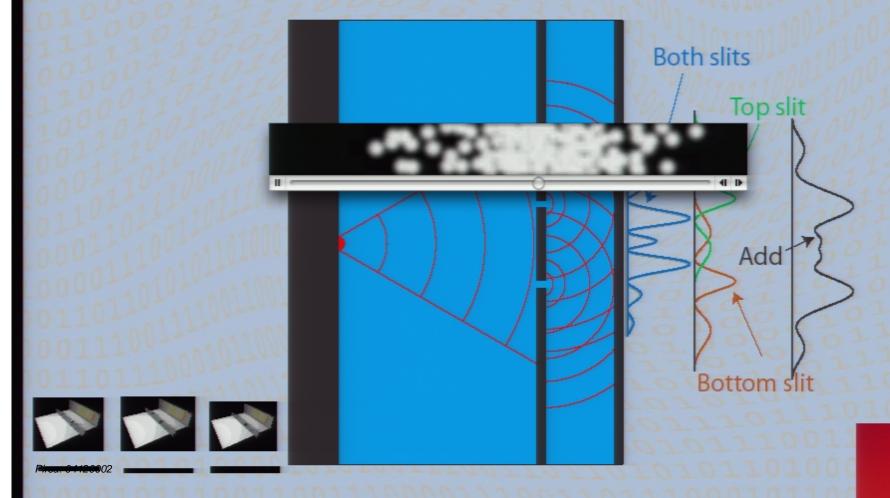


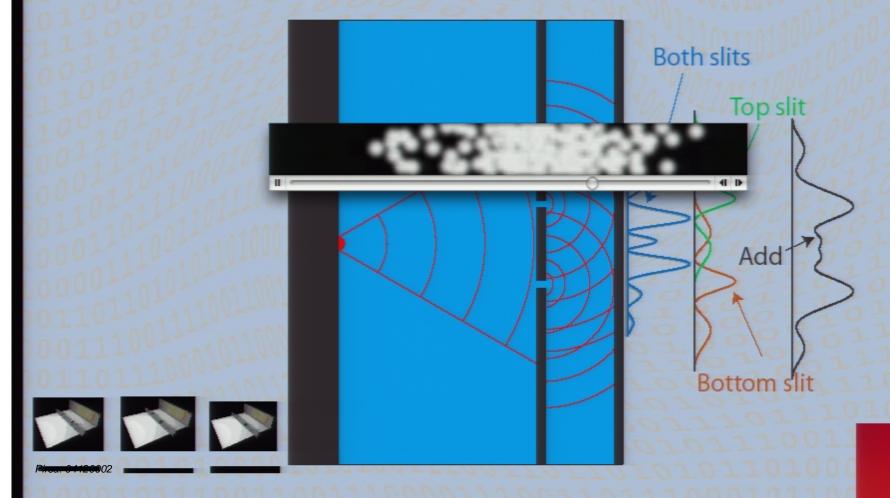


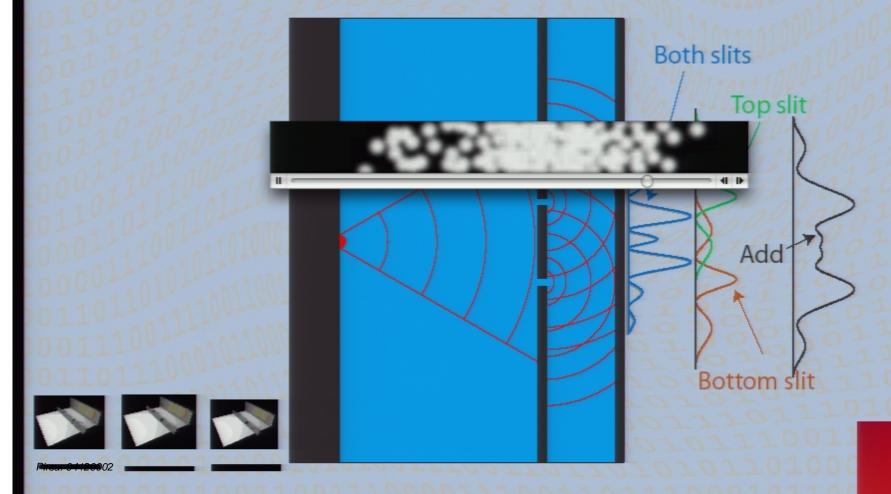


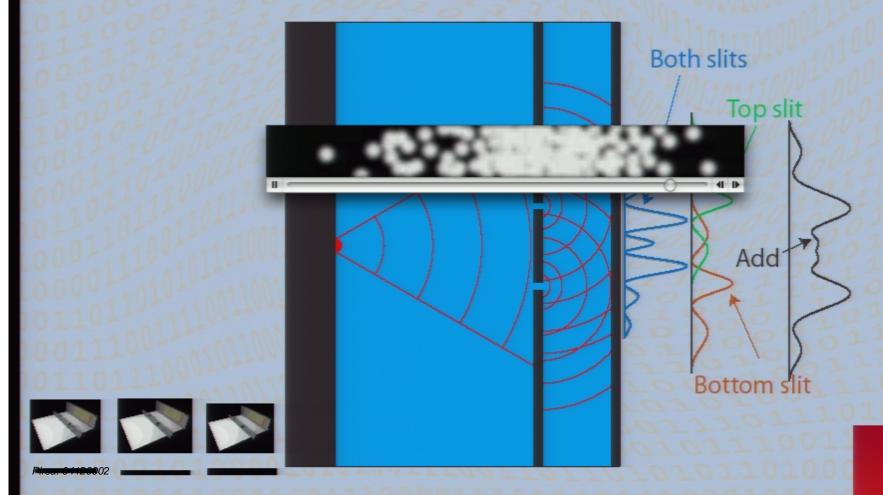


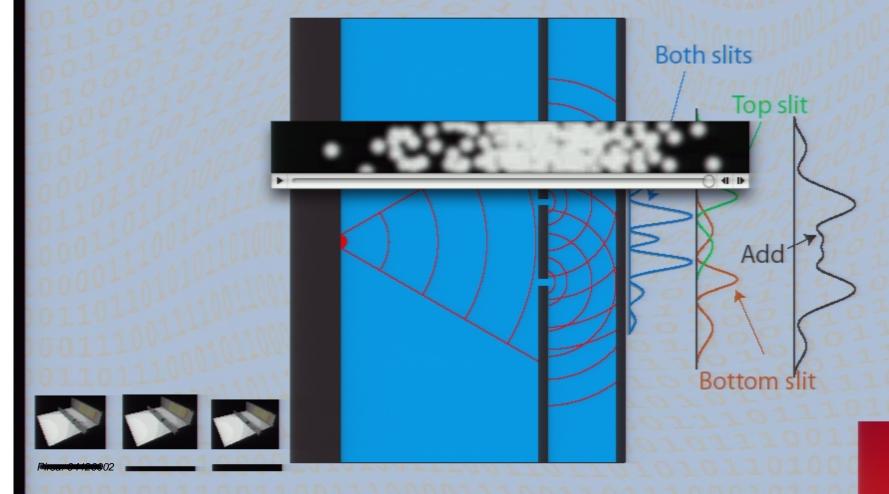


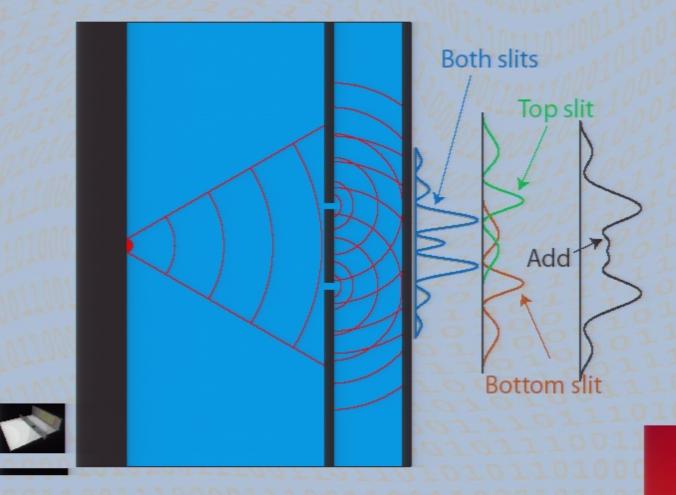


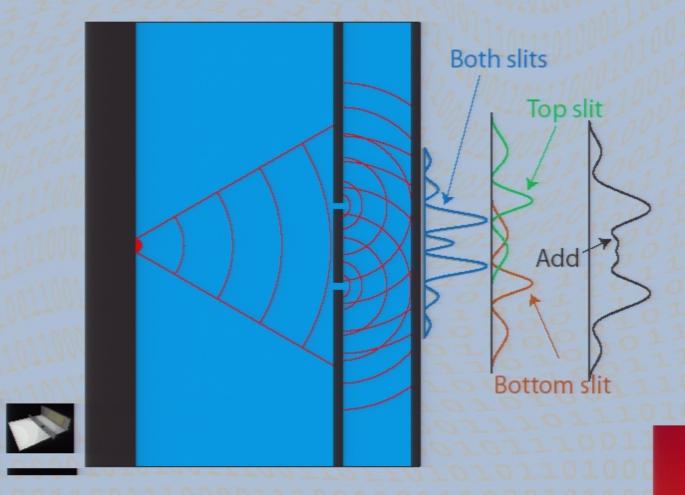


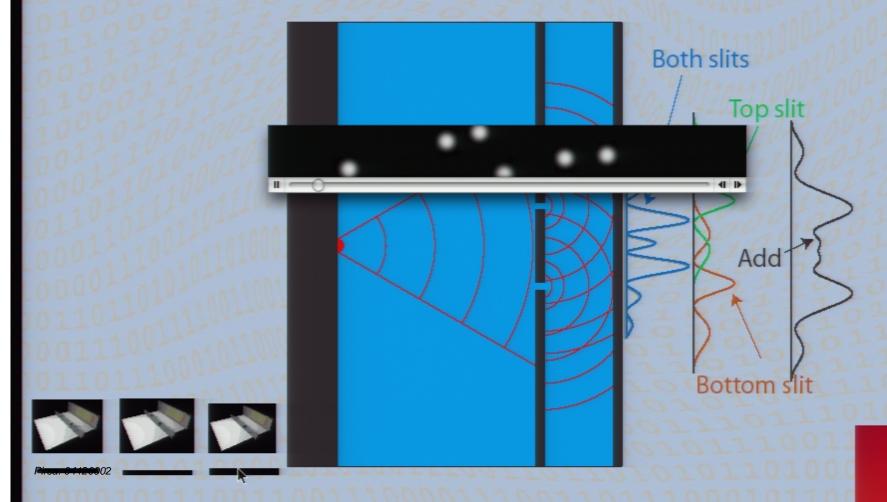


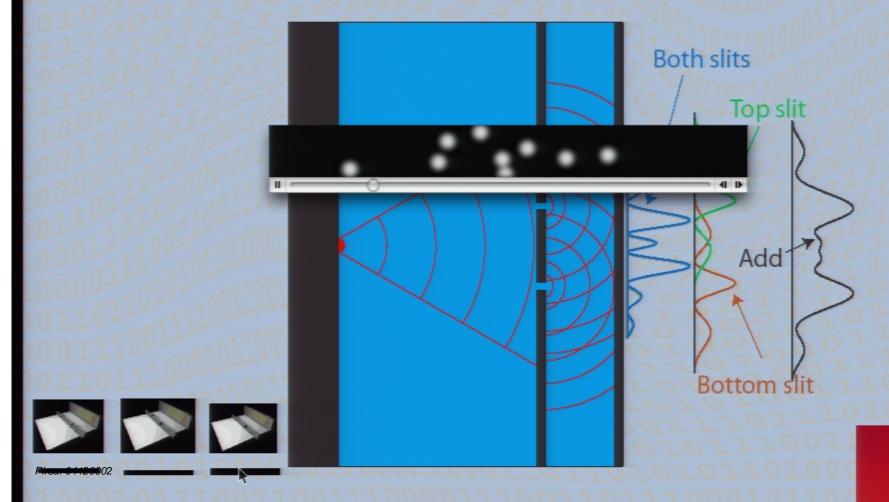


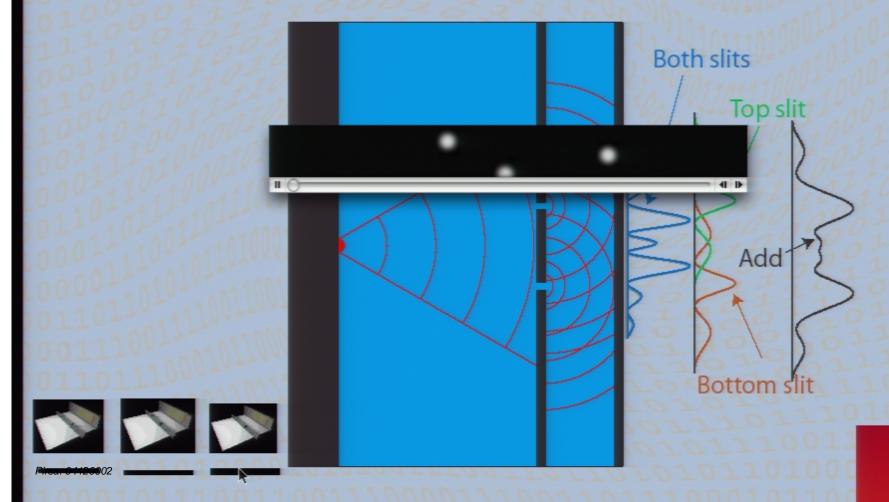


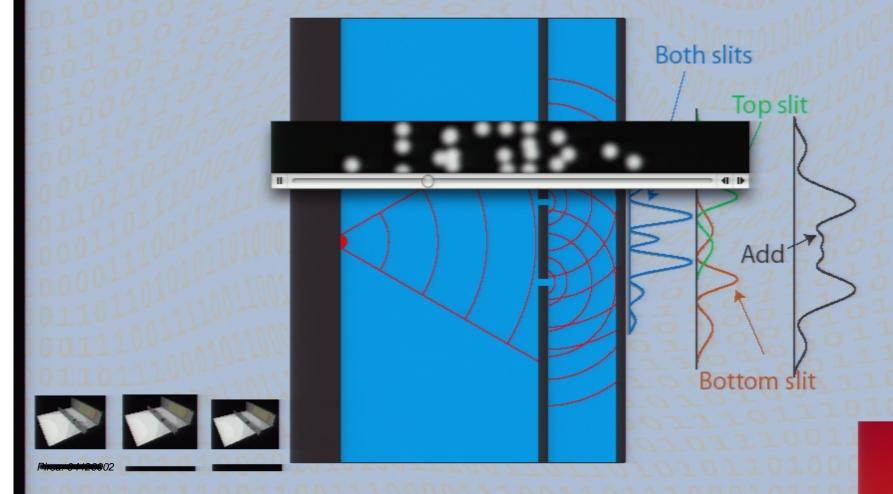


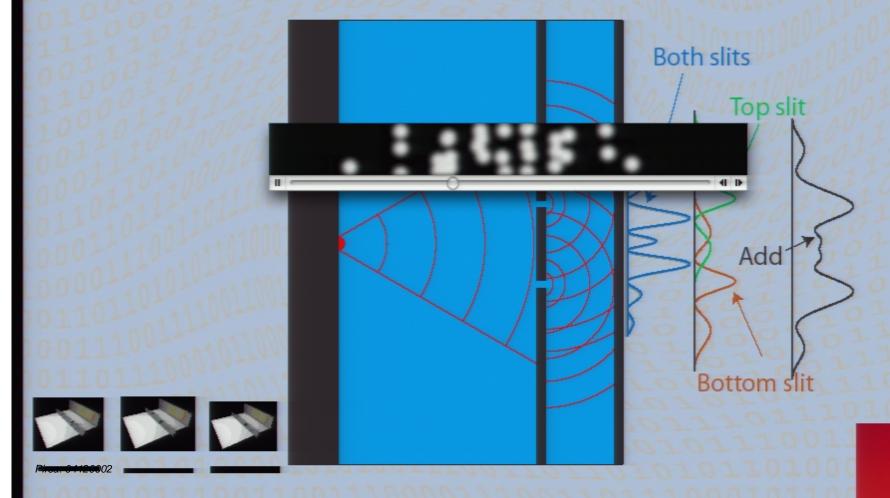


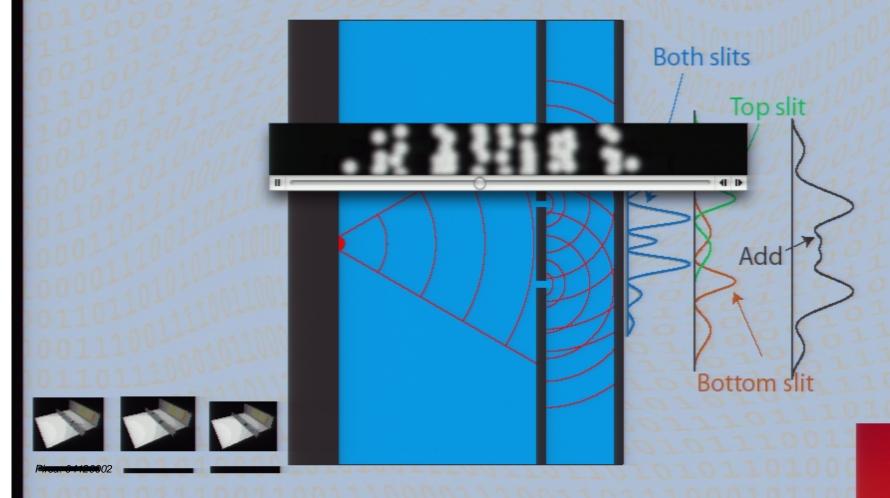


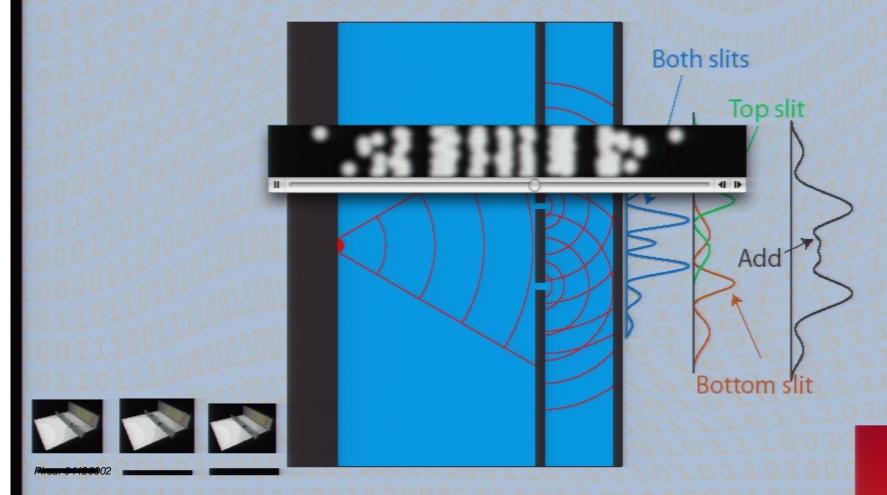


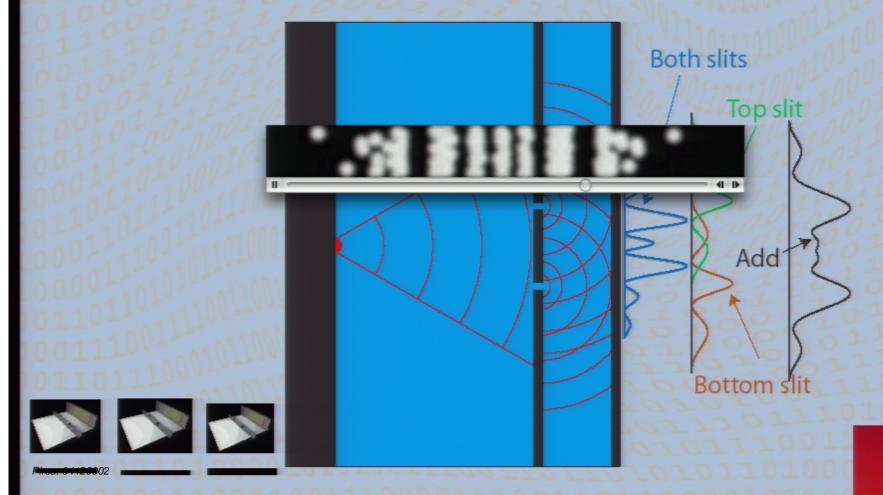


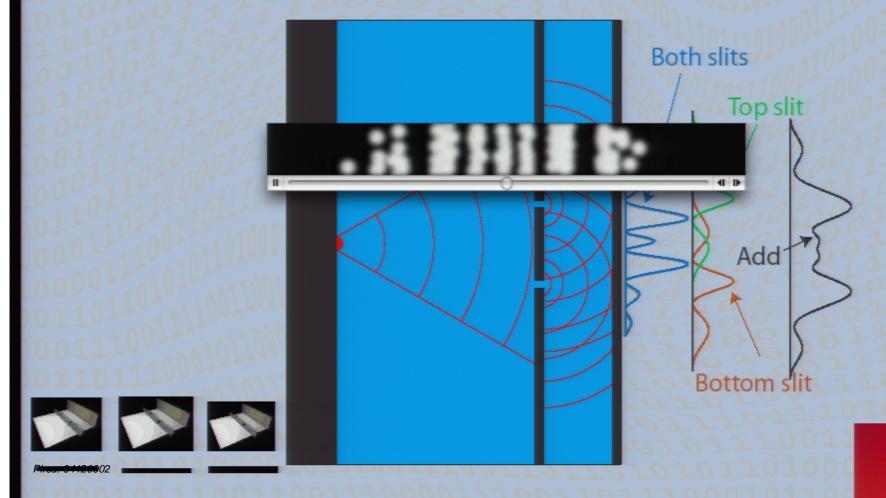


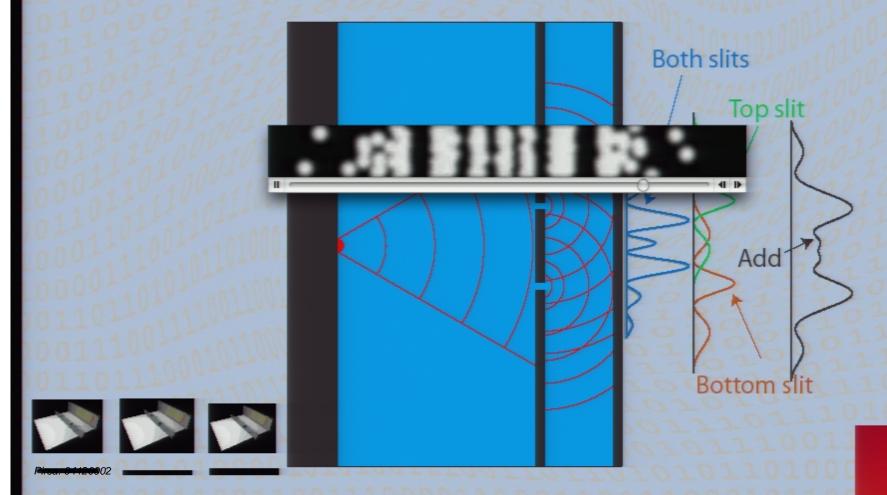


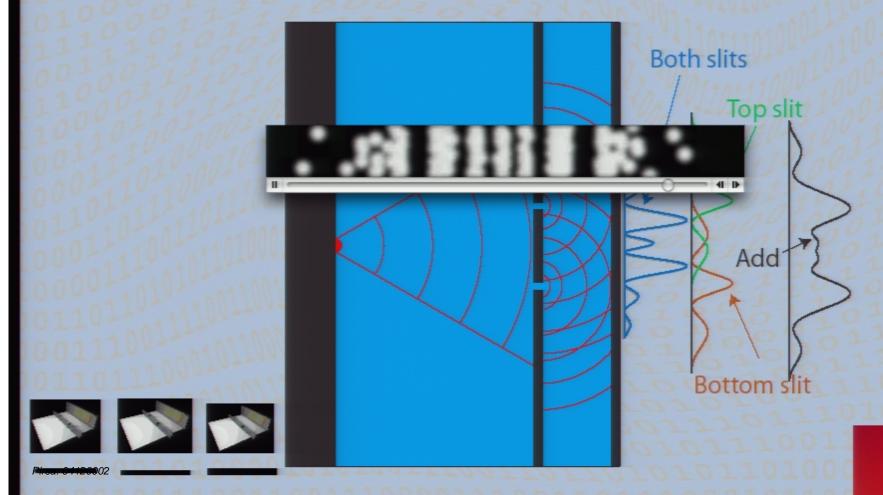


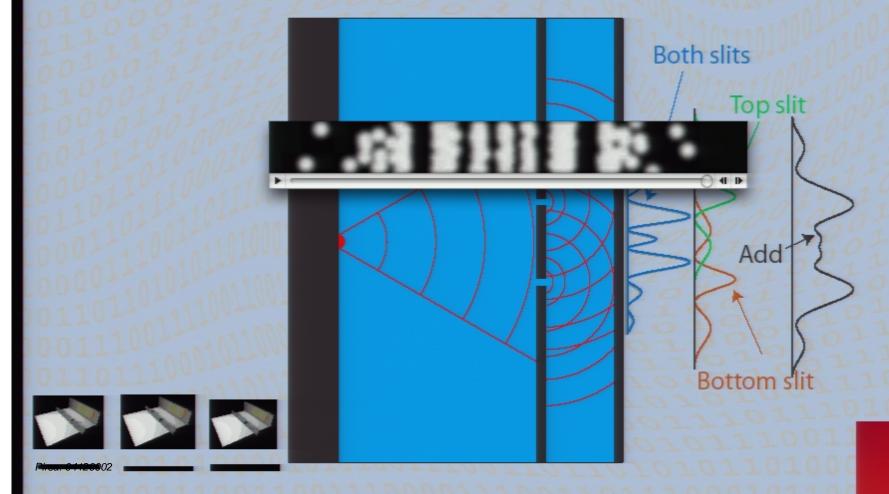


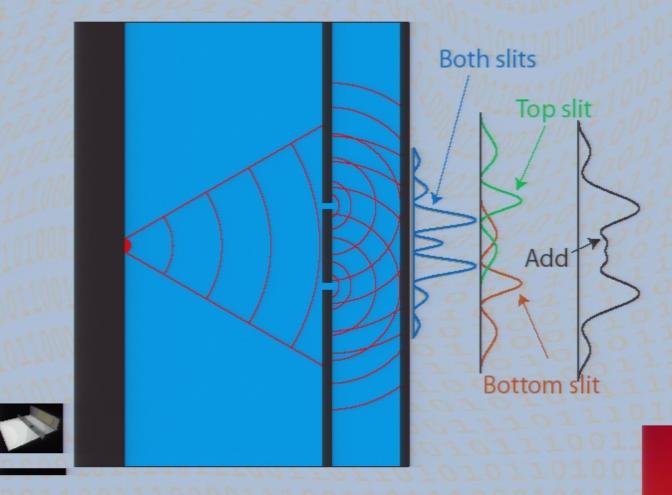












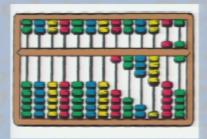
Two properties of Quantum Mechanics:

 Quantum systems behave both as waves and particles. These particles can be at more than one place at once.

 Looking at quantum systems always leaves a fingerprint.

Sun

Early computing devices



Abacus



Babbage Analytical engine



MIT's mechanical mind

Pirsa: 04120002 Page 56/152

Mathematical Problems

Lecture delivered before the International Congress of Mathematicians at Paris in 1900

By Professor David Hilbert

2. The compatibility of the arithmetical axioms

When we are engaged in investigating the foundations of a science, we must set up a system of axioms which contains an exact and complete description of the relations subsisting between the elementary ideas of that science. The axioms so set up are at the same time the definitions of those elementary ideas; and no statement within the realm of the science whose foundation we are testing is held to be correct unless it can be derived from those axioms by means of a finite number of logical steps. Upon closer consideration the question arises: Whether, in any way, certain statements of single axioms depend upon one another, and whether the axioms may not therefore contain certain parts in common, which must be isolated if one wishes to arrive at a system of axioms that shall be altogether independent of one another. But above all I wish to designate the following as the most important among the numerous questions which can be asked with regard to the axioms: To prove that they are not contradictory, that is, that a definite number of logical steps based upon them can never lead to contradictory results.

In geometry, the proof of the compatibility of the axioms can be effected by constructing a suitable field

of numbers, such that analogous relations between the numbers of this field correspond to the geometrical axioms. Any contradiction in the deductions from the geometrical axioms must thereupon be recognizable in the arithmetic of this field of numbers. In this way the desired proof for the compatibility of the geometrical axioms is made to depend upon the theorem of the

compatibility of the arithmetical axioms.

On the other hand a direct method is needed for the proof of the compatibility of the arithmetical axioms. The axioms of arithmetic are essentially nothing else than the known rules of calculation, with the addition of the axiom of continuity. I recently collected them and in so doing replaced the axiom of continuity by two simpler axioms, namely, the well-known axiom of Archimedes, and a new axiom essentially as follows: that numbers form a system of things which is capable of no further extension, as long as all the other axioms hold (axiom of completeness). I am convinced that it must be possible to find a direct proof for the compatibility of the arithmetical axioms, by means of a careful study and suitable modification of the known methods of reasoning in the theory of irrational numbers.

To show the significance of the problem from another point of view, I add the following observation: If contradictory attributes be assigned to a concept, I say, that mathematically the concept does not exist. So, for example, a real number whose square is -l does not exist mathematically. But if it can be proved that the attributes assigned to the concept can never lead to a contradiction by the application of a finite number of logical processes, I say that the mathematical existence of the concept (for example, of a number or a function which satisfies certain conditions) is thereby proved. In the case before us, where we are concerned with the axioms of real numbers in arithmetic, the proof of the compatibility of the axioms is at the same time the proof of the mathematical existence of the complete system of real numbers or of the continuum. Indeed, when the proof for the compatibility of the axioms shall be fully accomplished, the doubts which have been expressed occasionally as to the existence of the complete system of real numbers will become totally groundless. The totality of real numbers, i. e., the continuum according to the point of view just indicated, is not the totality of all possible series in decimal fractions, or of all possible laws according to which the elements of a fundamental sequence may proceed. It is rather a system of things whose mutual relations are governed by the axioms set up and for which all propositions, and only those, are true which can be derived from the axioms by a finite number of logical processes. In my opinion, the concept of the continuum is strictly logically tenable in this sense only. It seems to me, indeed, that this corresponds best also to what experience and intuition tell us. The concept of the continuum or even that of the system of all functions exists, then, in exactly the same sense as the system of integral, rational numbers, for example, or as Cantor's higher classes of numbers and cardinal numbers. For I am convinced that the existence of the latter, just as that of the continuum, can be proved in the sense I have described; unlike the system of all cardinal numbers or of all Cantor's alephs, for which, as may be shown, a system of axioms, compatible in my sense, cannot be set up. Either of these systems is, therefore, according to my terminology, mathematically non-existent.

Mathematical Problems

Lecture delivered before the International Congress of Mathematicians at Paris in 1900

By Professor David Hilbert

2. The compatibility of the arithmetical axioms

When we are engaged in investigating the foundations of a science, we must set up a system of axioms which contains an exact and complete description of the relations subsisting between the elementary ideas of that science. The axioms so set up are at the same time the definitions of those elementary ideas; and no statement within the realm of the science whose foundation we are testing is held to be correct unless it can be derived from those axioms by means of a finite number of logical steps. Upon closer consideration the question arises: Whether, in any way, certain statements of single axioms depend upon one another, and whether the axioms may not therefore contain certain parts in common, which must be isolated if one wishes to arrive at a system of axioms that shall be altogether independent of one another. But above all I wish to designate the following as the most important among the numerous questions which can be asked with regard to the axioms: To prove that they are not contradictory, that is, that a definite number of logical steps based upon them can never lead to contradictory results. In geometry, the proof of the compatibility of the axioms can be effected by constructing a suitable field

of numbers, such that analogous relations between the numbers of this field correspond to the geometrical axioms. Any contradiction in the deductions from the geometrical axioms must thereupon be recognizable in the arithmetic of this field of numbers. In this way the desired people for the compatibility of the geometrical axioms is made to depend upon the theorem of the compatibility of the arithmetical axioms.

On the other hand a direct method is needed for the proof of the compatibility of the arithmetical axioms. The axioms of arithmetic are essentially nothing else than the known rules of calculation, with the addition of the axiom of continuity. I recently collected them, and in so doing replaced the axiom of continuity by two simpler axioms, namely, the well-known axiom of Archimedes, and a new axiom essentially as follows: that numbers form a system of things which is capable of no further extension, as long as all the other axioms hold (axiom of completeness). I am convinced that it must be possible to find a direct proof for the compatibility of the arithmetical axioms, by means of a careful study and suitable modification of the known methods of reasoning in the theory of irrational numbers.

To show the significance of the problem from another point of view, I add the following observation: If contradictory attributes be assigned to a concept, I say, that mathematically the concept does not exist. So, for example, a real number whose square is -l does not exist mathematically. But if it can be proved that the attributes assigned to the concept can never lead to a contradiction by the application of a finite number of logical processes, I say that the mathematical existence of the concept (for example, of a number or a function which satisfies certain conditions) is thereby proved. In the case before us, where we are concerned with the axioms of real numbers in arithmetic, the proof of the compatibility of the axioms is at the same time the proof of the mathematical

This statement is false

and intuition tell us. The concept of the continuum or even that of the system of all functions exists, then, in exactly the same sense as the system of integral, rational numbers, for example, or as Cantor's higher classes of numbers and cardinal numbers. For I am convinced that the existence of the latter, just as that of the continuum, can be proved in the sense I have described; unlike the system of all cardinal numbers or of all Cantor's alephs, for which, as may be shown, a system of exioms, compatible in my sense, cannot be set up. Either of these systems is, therefore, according to my terminology, mathematically non-existent.

Mathematical Problems

Lecture delivered before the International Congress of Mathematicians at Paris in 1900

By Professor David Hilbert

2. The compatibility of the arithmetical axioms

When we are engaged in investigating the foundations of a science, we must set up a system of axioms which contains an exact and complete description of the relations subsisting between the elementary ideas of that science. The axioms so set up are at the same time the definitions of those elementary ideas; and no statement within the realm of the science whose foundation we are testing is held to be correct unless it can be derived from those axioms by means of a finite number of logical steps. Upon closer consideration the question arises: Whether, in any way, certain statements of single axioms depend upon one another, and whether the axioms may not therefore contain certain parts in common, which must be isolated if one wishes to arrive at a system of axioms that shall be altogether independent of one another.

But above all I wish to designate the following as the most important among the numerous questions which can be asked with regard to the axioms: To prove that they are not contradictory, that is, that a definite number of logical steps based upon them can never lead to contradictory results.

In geometry, the proof of the compatibility of the axioms can be effected by constructing a suitable field

of numbers, such that analogous relations between the numbers of this field correspond to the metrical axioms. Any contradiction in the deductions from the geometrical axioms must thereupon be recognizable in the arithmetic of this field of numbers. In this way the desired proof for the compatibility of the geometrical axioms is made to depend upon the theorem of the compatibility of the arithmetical axioms.

On the other hand a direct method is needed for the proof of the compatibility of the arithmetical axioms. The axioms of arithmetic are essentially nothing else than the known rules of calculation, with the addition of the axiom of continuity. I recently collected them, and in so doing replaced the axiom of continuity by two simpler axioms, namely, the well-known axiom of Archimedes, and a new axiom essentially as follows: that numbers form a system of things which is capable of no further extension, as long as all the other axioms hold (axiom of completeness). I am convinced that it must be possible to find a direct proof for the compatibility of the arithmetical axioms, by means of a careful study and suitable modification of the known methods of reasoning in the theory of irrational numbers.

To show the significance of the problem from another point of view, I add the following observation: If contradictory attributes be assigned to a concept, I say, that mathematically the concept does not exist. So, for example, a real number whose square is -l does not exist mathematically. But if it can be proved that the attributes assigned to the concept can never lead to a contradiction by the application of a finite number of logical processes, I say that the mathematical existence of the concept (for example, of a number or a function which satisfies certain conditions) is thereby proved. In the case before us, where we are concerned with the axioms of real numbers in arithmetic, the proof of the compatibility of the axioms is at the same time the proof of the mathematical existence of the complete system of real numbers or of the continuum. Indeed, when the proof for the compatibility of the axioms shall be fully accomplished, the doubts which have been expressed occasionally as to the existence of the complete system of real numbers will become totally groundless. The totality of real numbers, i. e., the continuum according to the point of view just indicated, is not the totality of all possible series in decimal fractions, or of all possible laws according to which the elements of a fundamental sequence may proceed. It is rather a system of things whose mutual relations are governed by the axioms set up and for which all propositions, and only those, are true which can be derived from the axioms by a finite number of logical processes. In my opinion, the concept of the continuum is strictly logically tenable in this sense only. It seems to me, indeed, that this corresponds best also to what experience and intuition tell us. The concept of the continuum or even that of the system of all functions exists, then, in exactly the same sense as the system of integral, rational numbers, for example, or as Cantor's higher classes of numbers and cardinal numbers. For I am convinced that the existence of the latter, just as that of the continuum, can be proved in the sense I have described; unlike the system of all cardinal numbers or of all Cantor's alephs, for which, as may be shown, a system of axioms, compatible in my sense, cannot be set up. Either of these systems is, therefore, according to my terminology, mathematically non-existent.

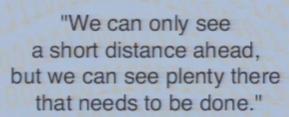
Turing machines



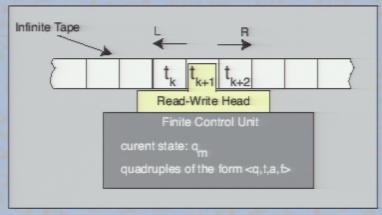
Church



Turing



Alan Turing



Turing machine

Complexity theory

Goal: asses the amount of ressources to solve problems

→ Adding: 748230+3802=752032
Scale is number of digit of input

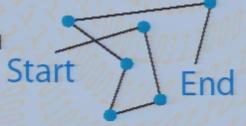
→ Factor in product of primes: 54029=97x557

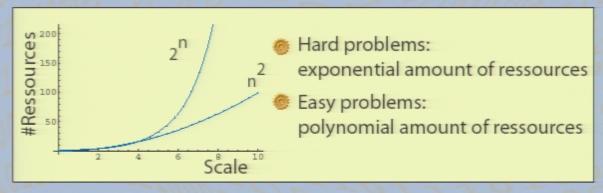
Scale is number of digit of input

→ Travelling salesperson:

Find the shortest route from Start to End

Scale is number of cities





Strong Church Turing principle:

no machine can turn a hard problem into an easy one

Quantum Factoring



Peter Shor

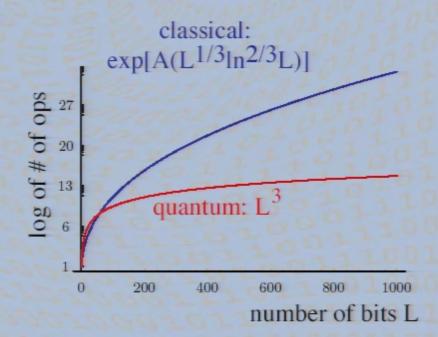
(Shor, IEEE Press 1994)

$$n=pq$$
 (L = ln n)

Today the fastest classical computers can factor number with ~150 digits

Quantum algorithm
of gates ~12L³
of qubits ~5L





Complexity theory

Goal: asses the amount of ressources to solve problems

→ Adding: 748230+3802=752032
Scale is number of digit of input

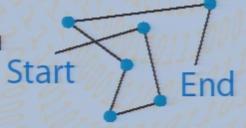
→ Factor in product of primes: 54029=97x557

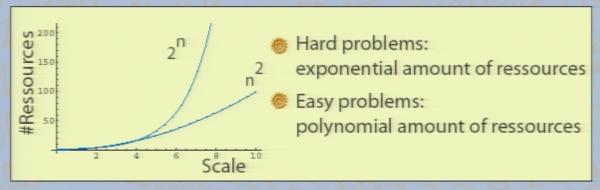
Scale is number of digit of input

→ Travelling salesperson:

Find the shortest route from Start to End

Scale is number of cities





Strong Church Turing principle:

no machine can turn a hard problem into an easy one

Quantum Factoring



Peter Shor

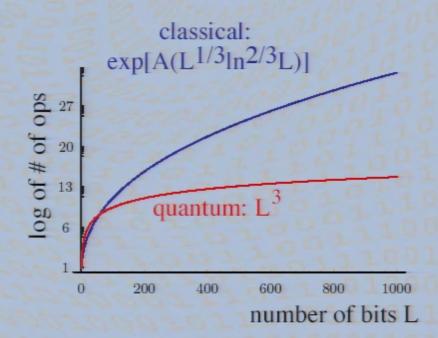
(Shor, IEEE Press 1994)

n=pq (L = ln n)

Today the fastest classical computers can factor number with ~150 digits

Quantum algorithm
of gates ~12L³
of qubits ~5L





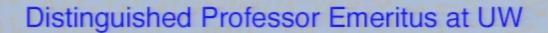
William T. Tutte





Colossus, the first electronic computer,

was used to break FISH





The difficulty of simulating a Quantum Computer

A classical computer in a nutshell

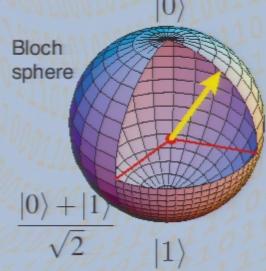
Classical bits of information are encoded in physical systems which has two states 0 and 1

Transformations are made with (universal) gates

Pirsa: 04120002

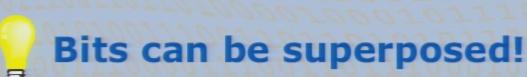
A quantum computer in a nutshell

Quantum bits (qubits) are quantum systems with two levels



Universal set of operations (gates)

- -generic one bit gates
- -any interaction between qubits



The power of Quantum Computers

of quantum bits

A quantum bit can be in two states at the same time

of classical bits

21=2

We need two paramters to decribe the state

The power of Quantum Computers

of quantum bits

1

-

2 👂

quantum states

0,1

00,01,10,11

111

Two quantum bit can be in four states at the same time

of classical bits

 $2^{1}=2$

 $2^2 = 4$

We need four paramters to decribe the state

of quantum bits



quantum states

0,1

00,01,10,11

000,001,...,111

of classical bits

 $2^{1}=2$

 $2^{2}=4$

 $2^{3} = 8$

The power of Quantum Computers

# of quantum bits	quantum states #	of classical bits
1 0	0,1	21=2
2 \$\$	00,01,10,11	$2^2 = 4$
3 \$ \$ \$	000,001,,111	$2^{3}=8$
4 \$ \$ \$ \$	0000,0001,,1111	$2^4 = 16$
		2000 8010100
10 ∮ … ∮	000000000,	$2^{10}=1k$
20 ₫ … ₫	000000000,	$2^{20} = 1M$
30 ₫ … ₫	000000000,	$2^{30} = 1G$
40 🕏 🦸	000000000,	$2^{40} = 1T$
50 0 0	0000000000,	250_1D Page 71/152

Pirsa: 04120002

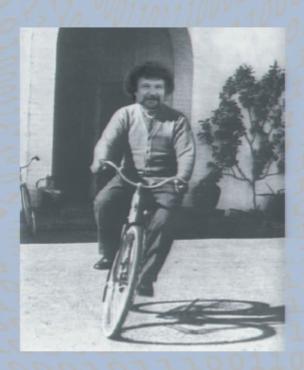
The power of Quantum Computers

# of quantum bits	quantum states #	of classical bits
1 \$	0,1	21=2
2 \$\$	00,01,10,11	$2^2=4$
3 \$ \$ \$	000,001,,111	$2^{3}=8$
4 \$ \$ \$ \$ \$	0000,0001,,1111	$2^4 = 16$
PARTITION OF THE PARTIT		2000 8010100
10 ∮ ∮	000000000,	$2^{10} = 1k$
20 ₫ … ₫	000000000,	$2^{20} = 1M$
30 ₫ ₫	000000000,	$2^{30} = 1G$
40 🕏 🦸	0000000000,	$2^{40} = 1T$
50 0 0	0000000000,	250_1P Page 72/152

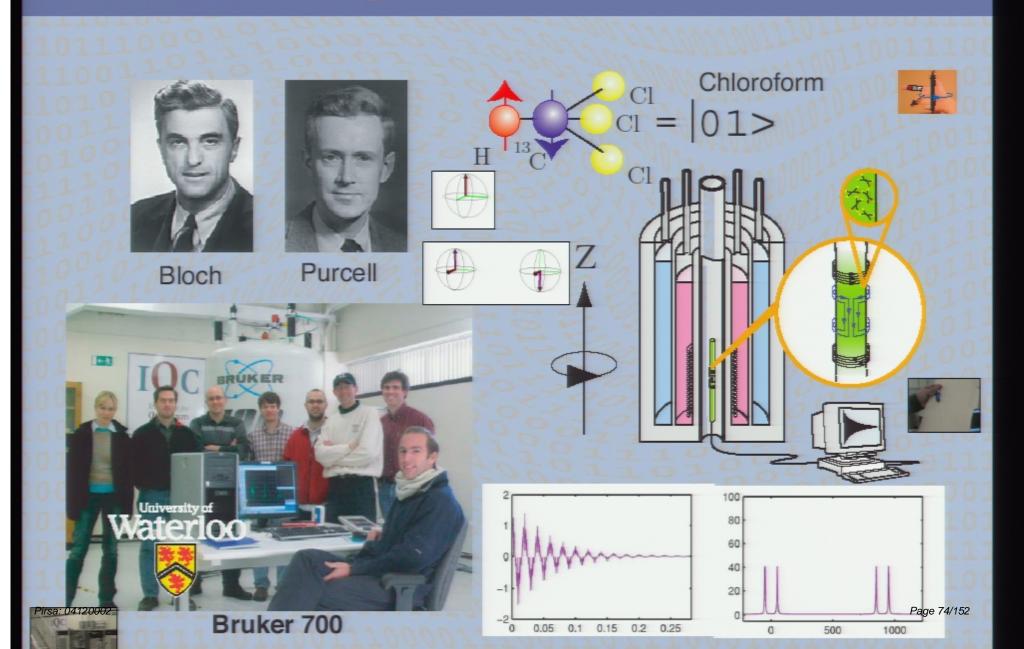
Pirsa: 04120002

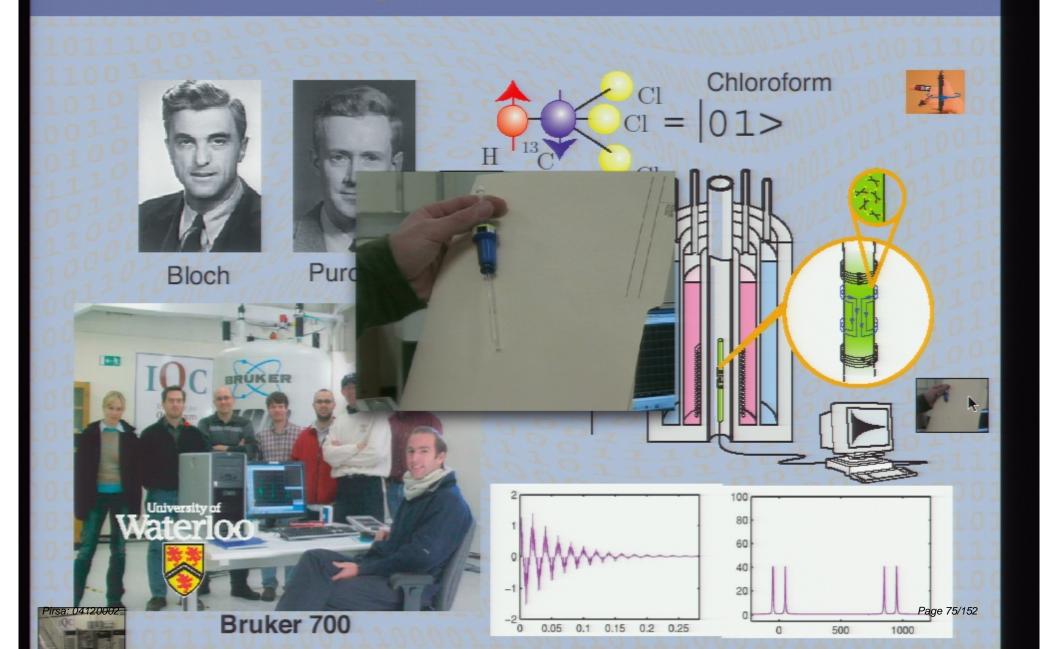
Theory vs experiment

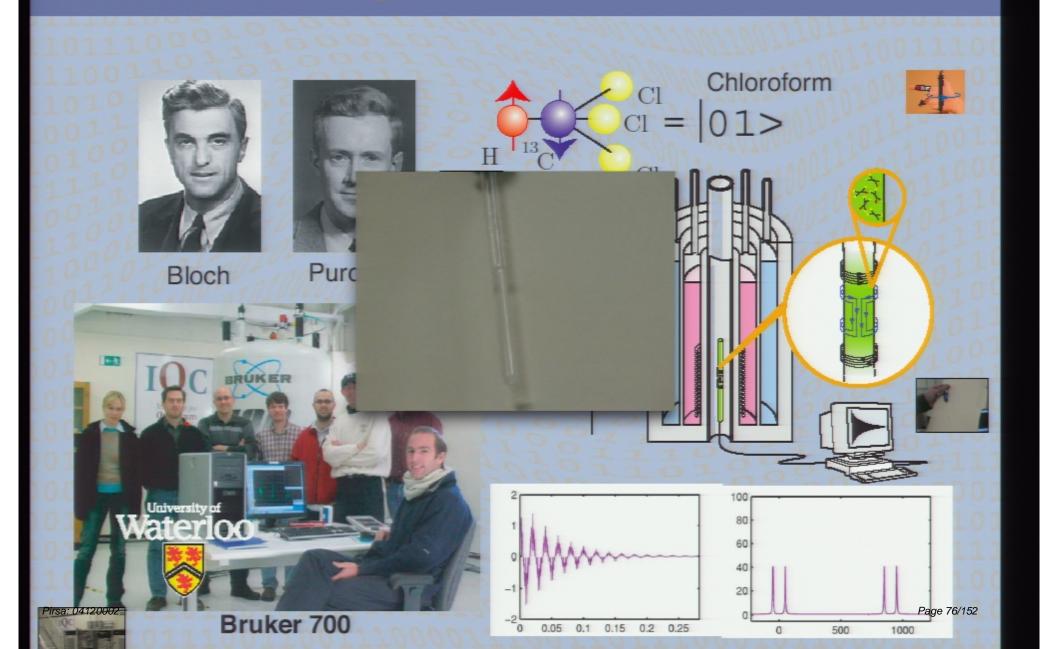


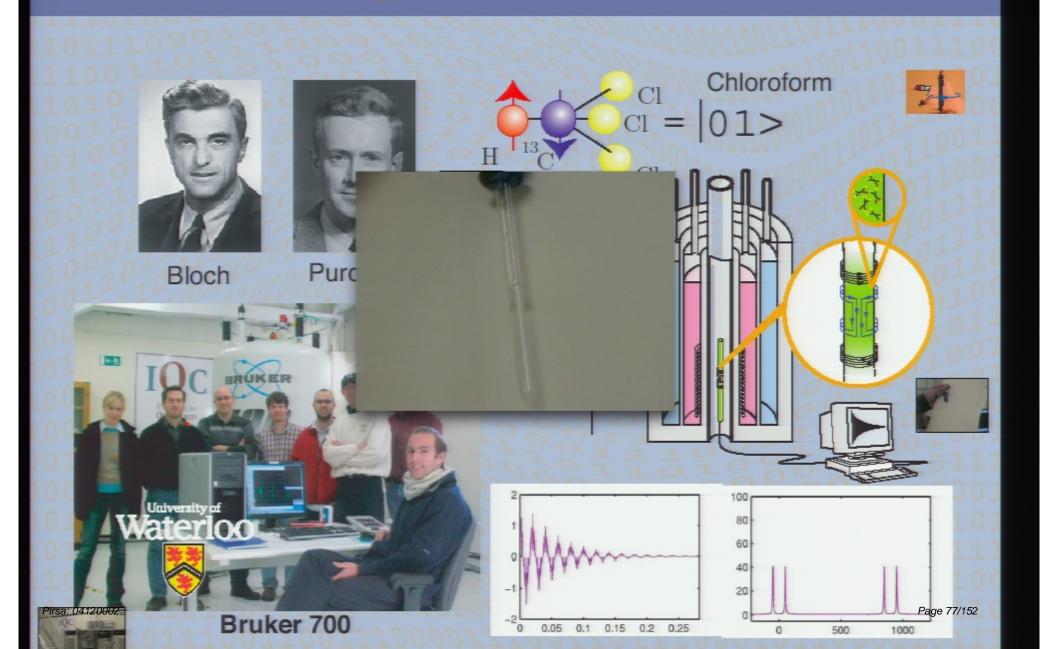


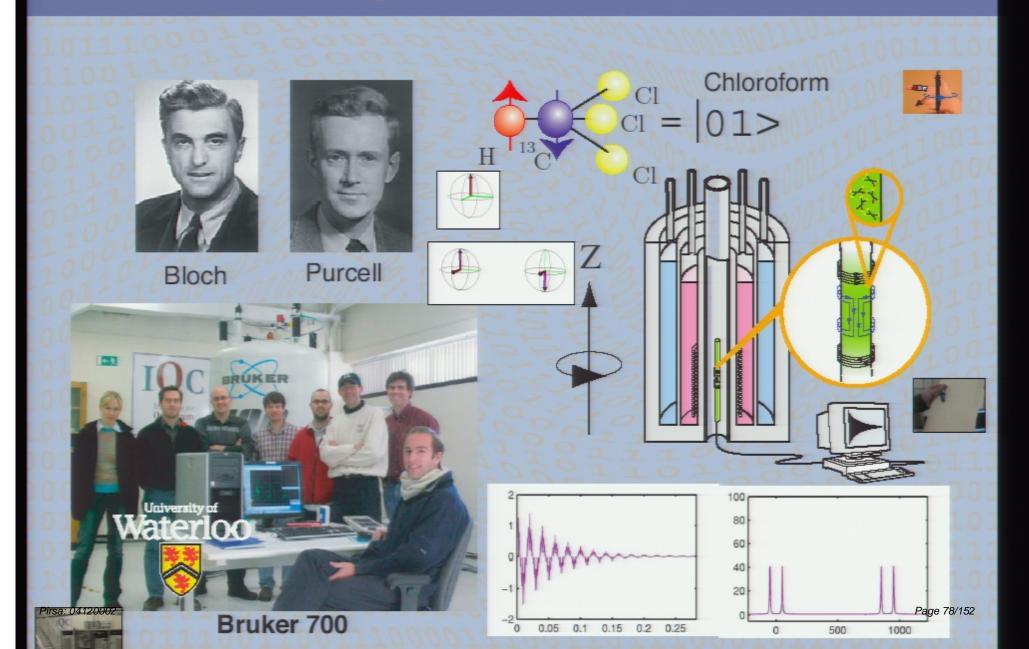
Pirsa: 04120002 Page 73/152

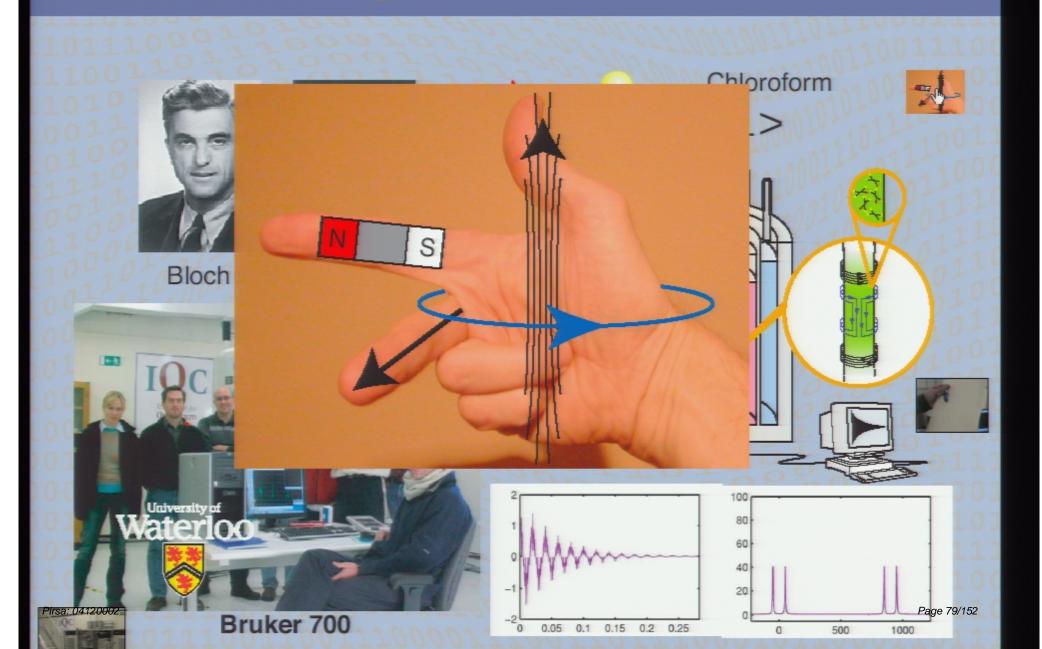




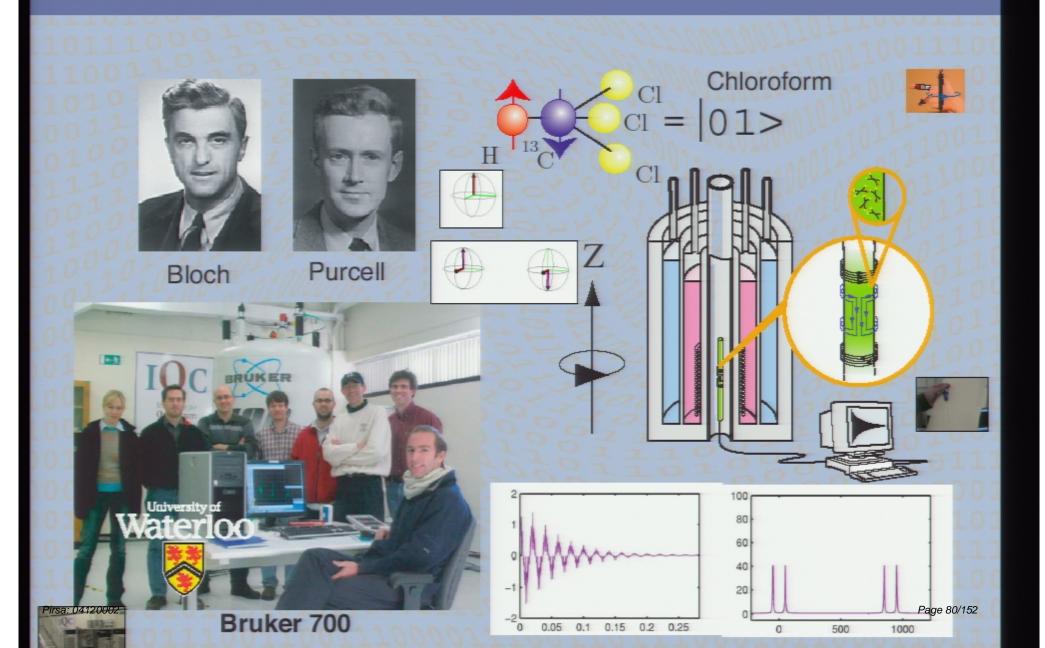


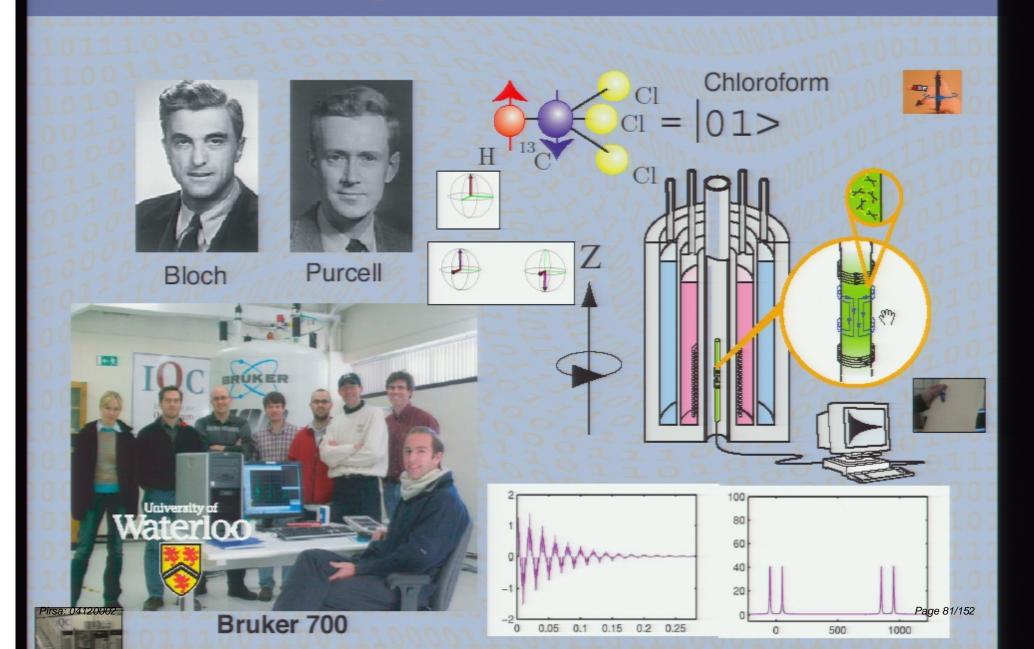


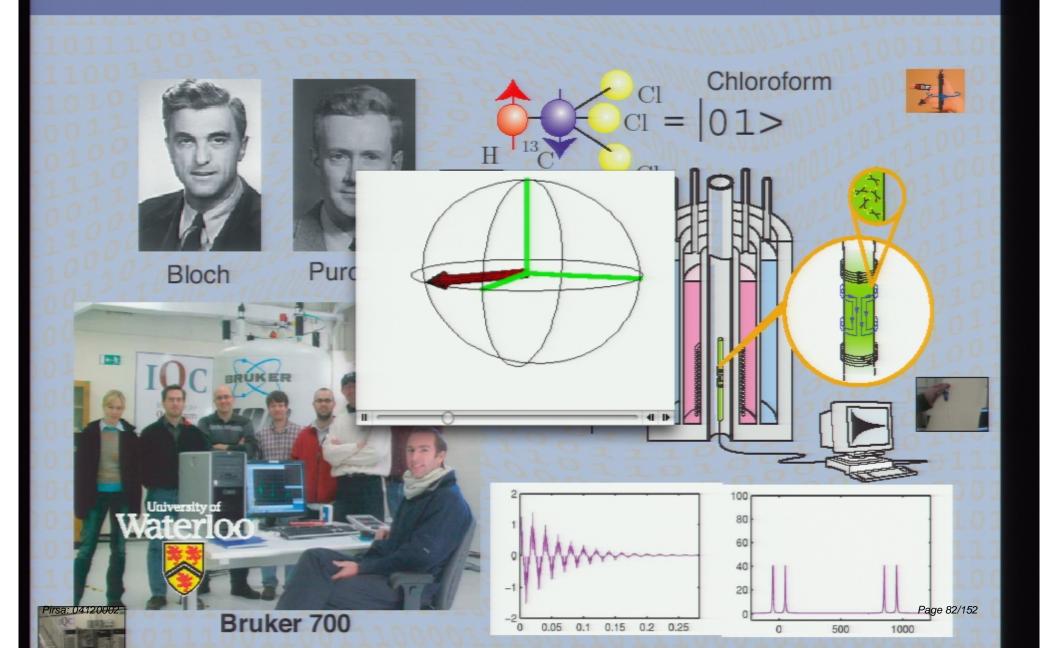


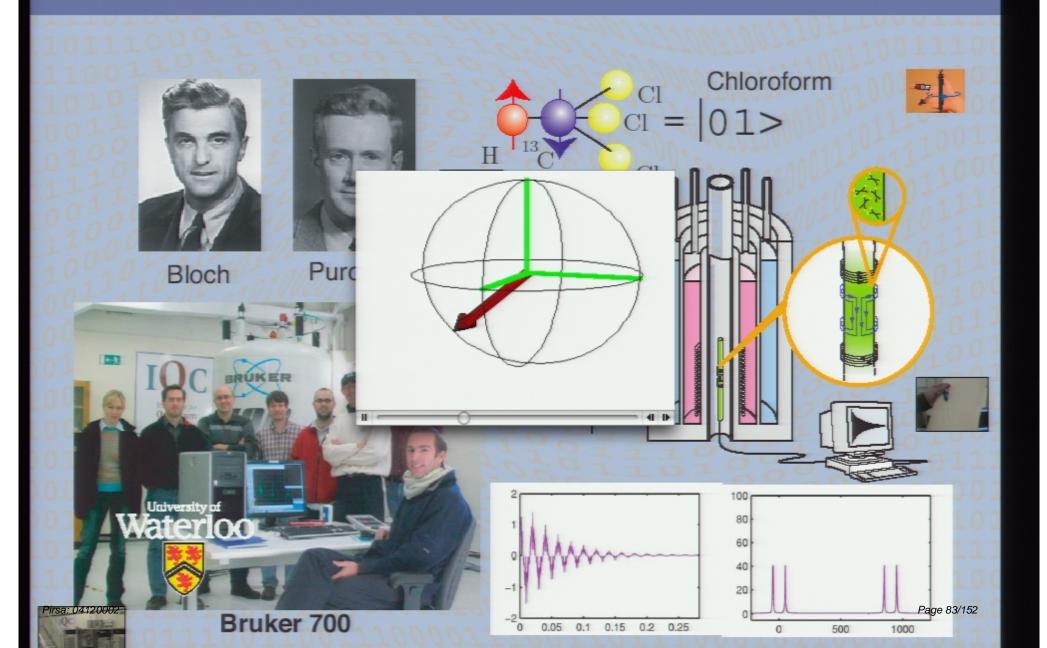


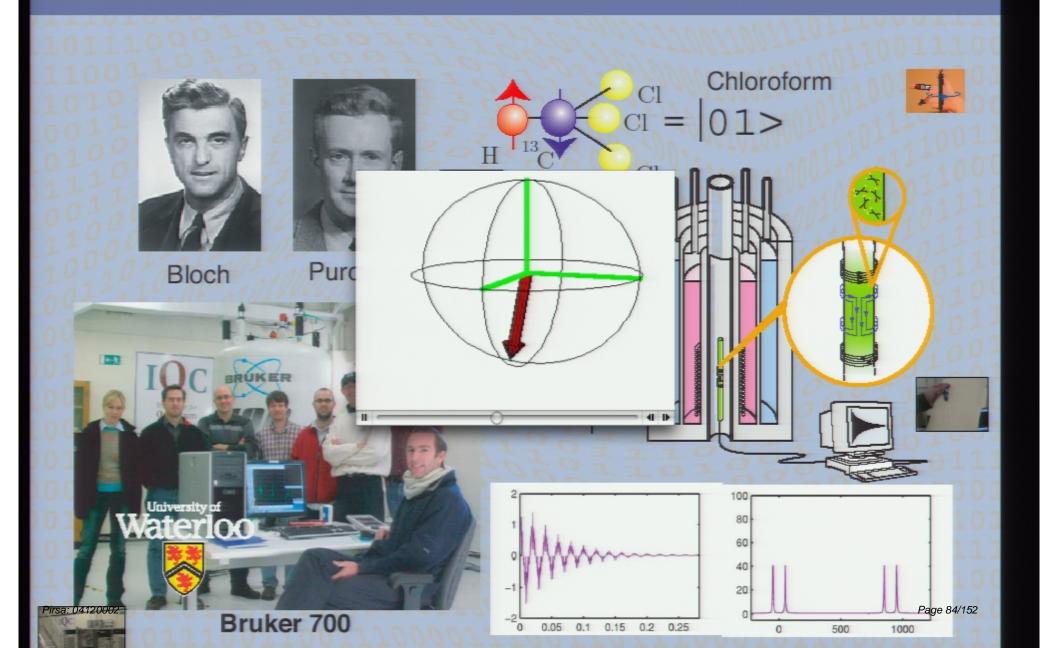


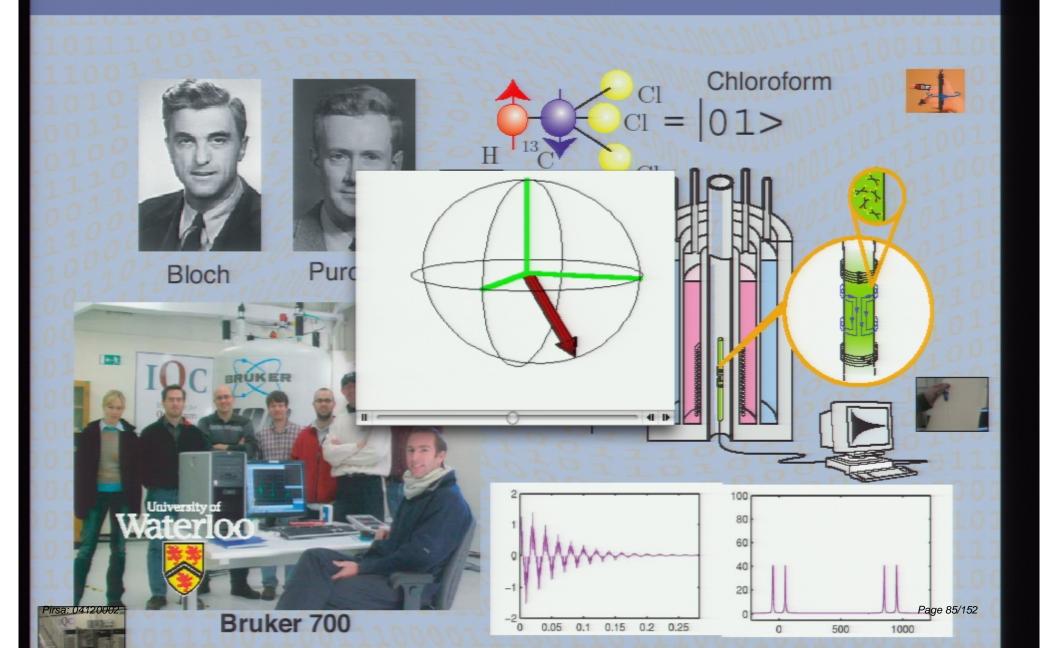


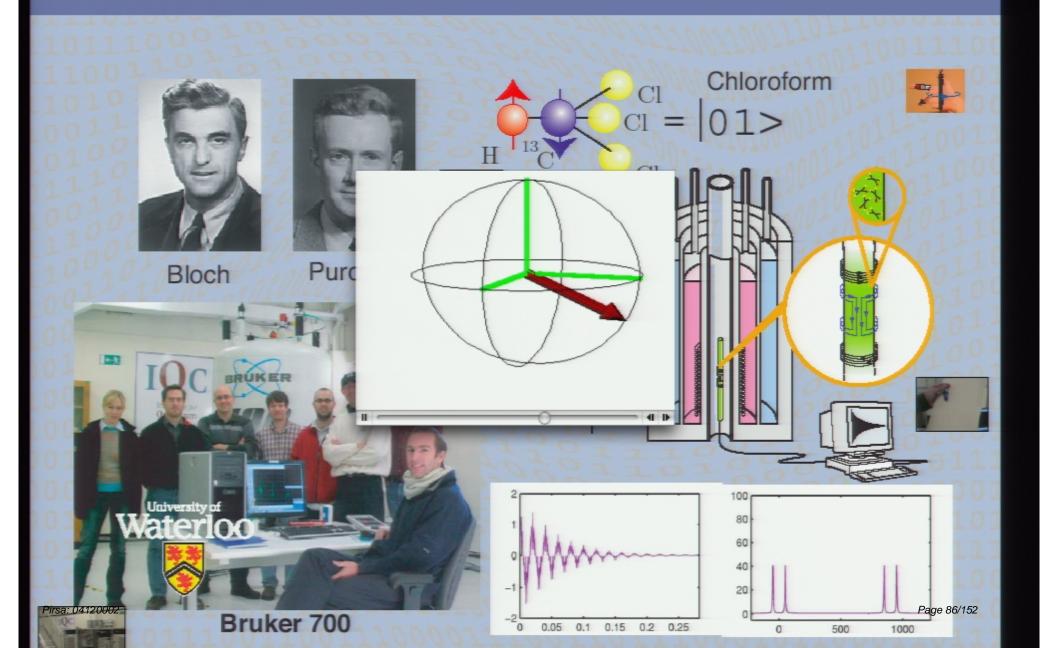


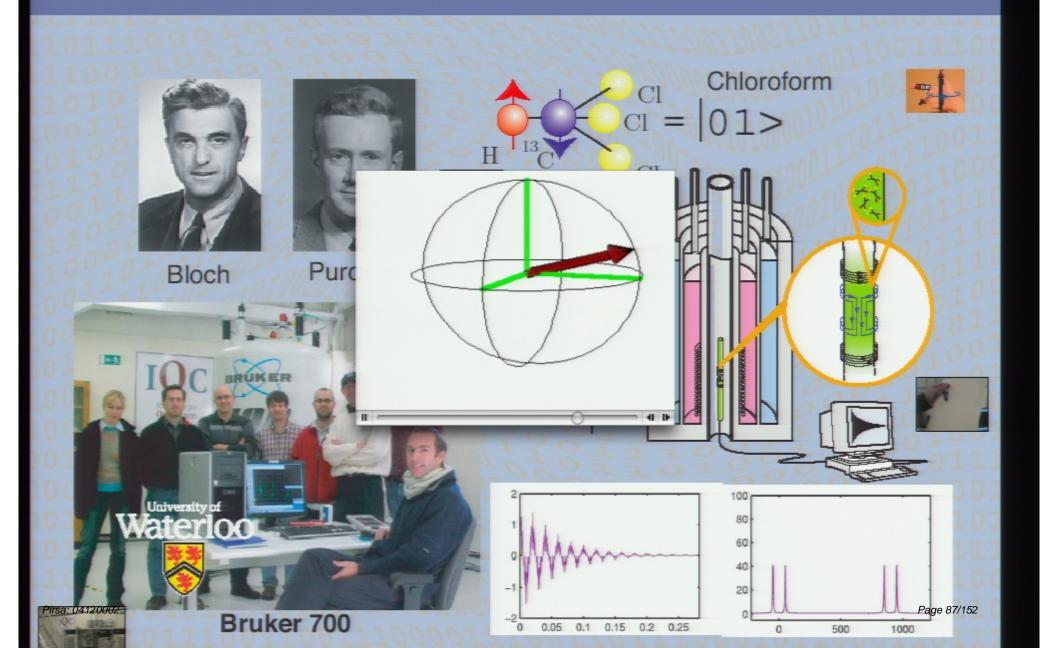


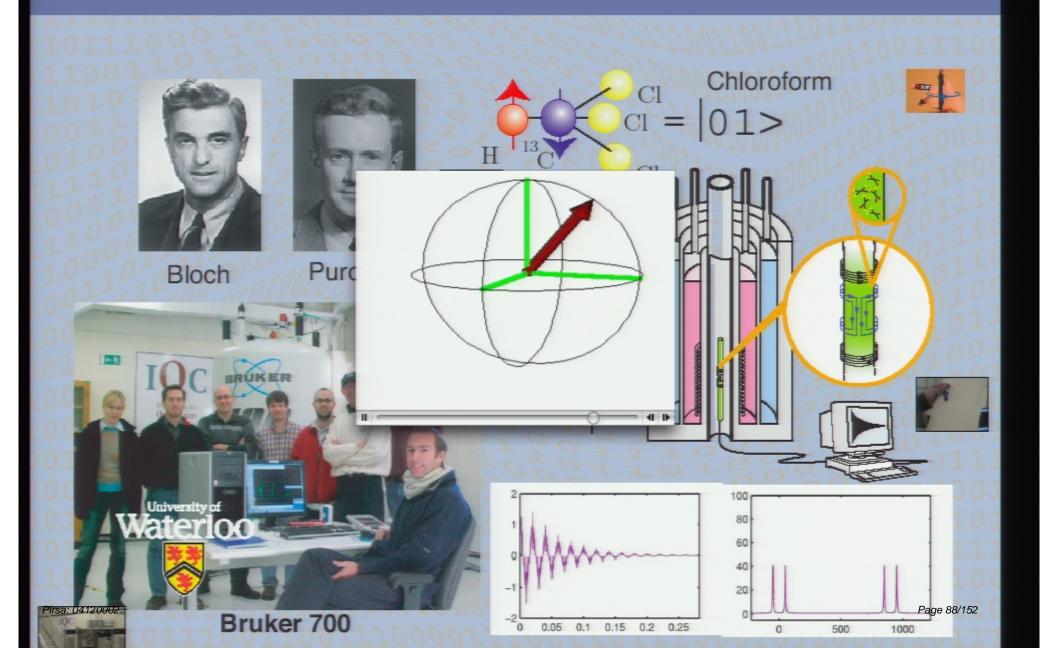


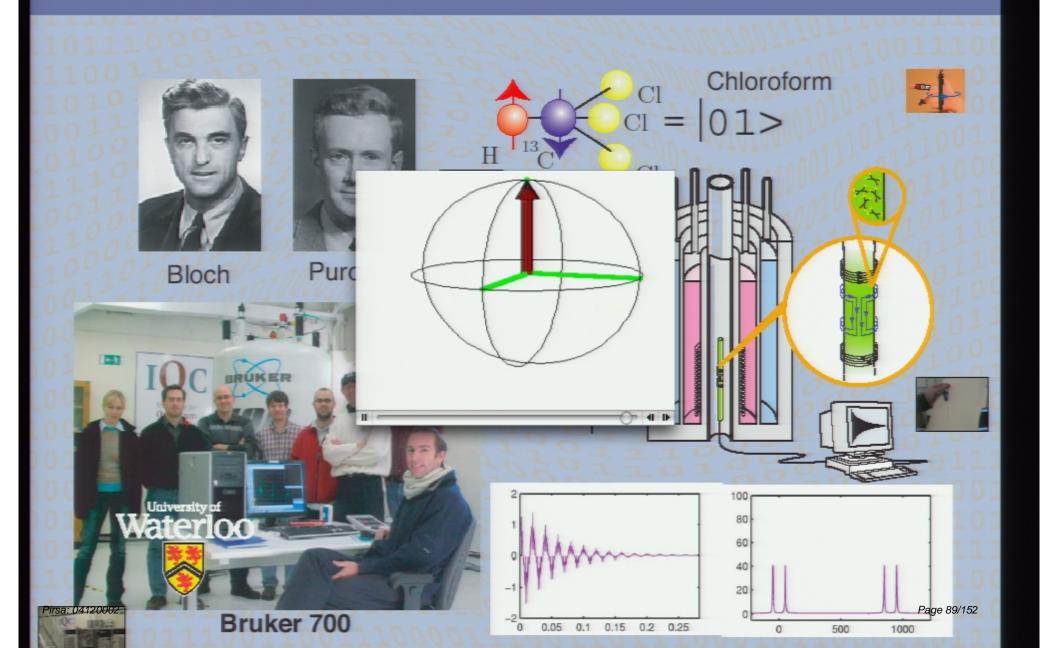


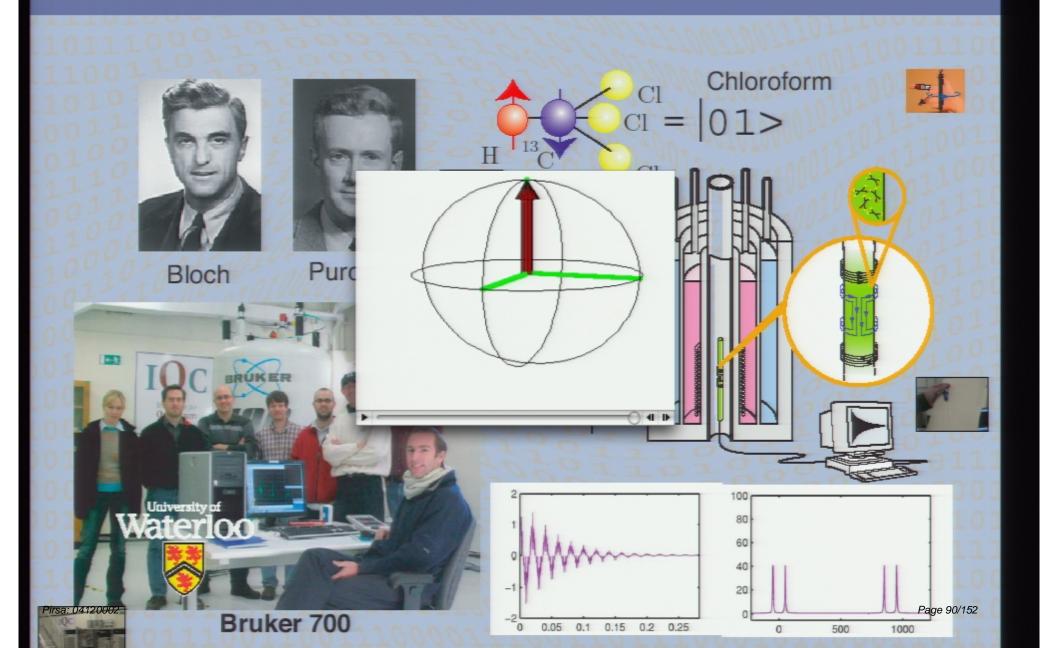


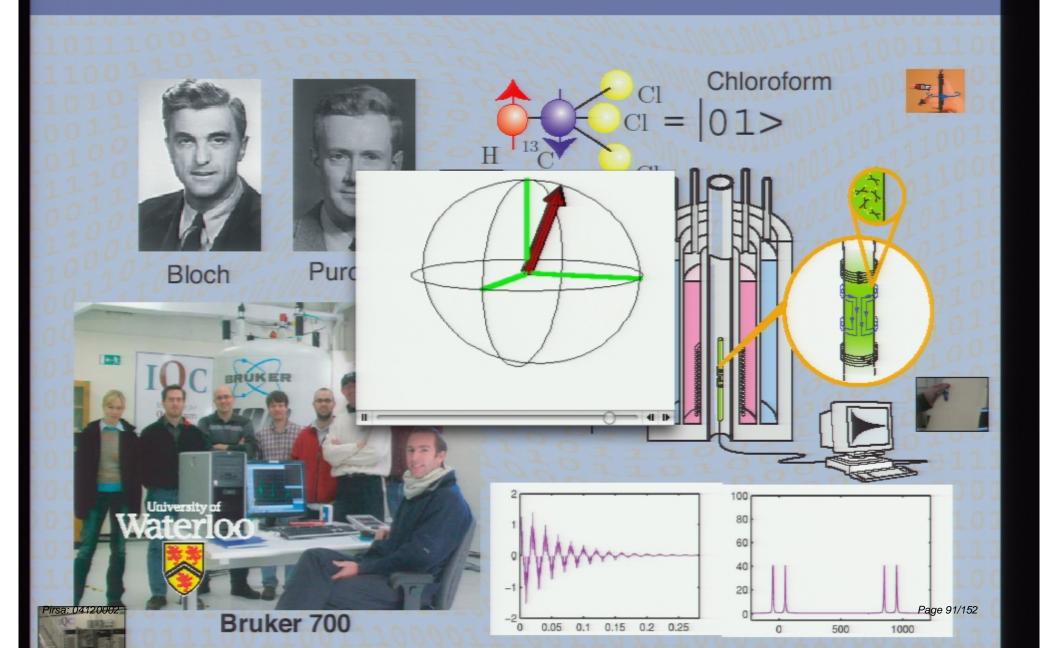


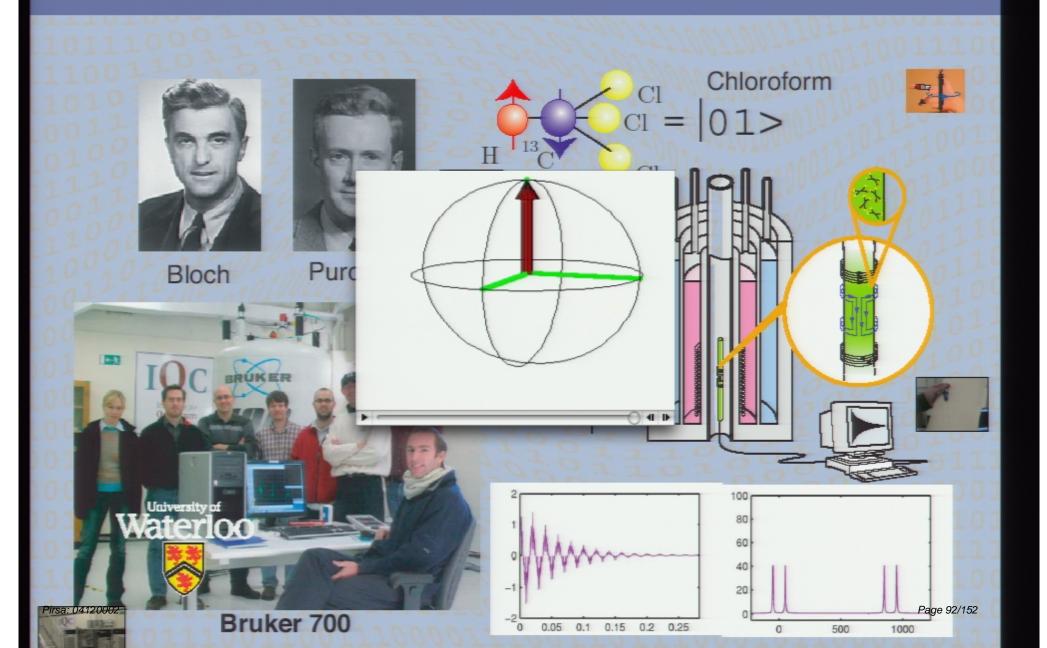


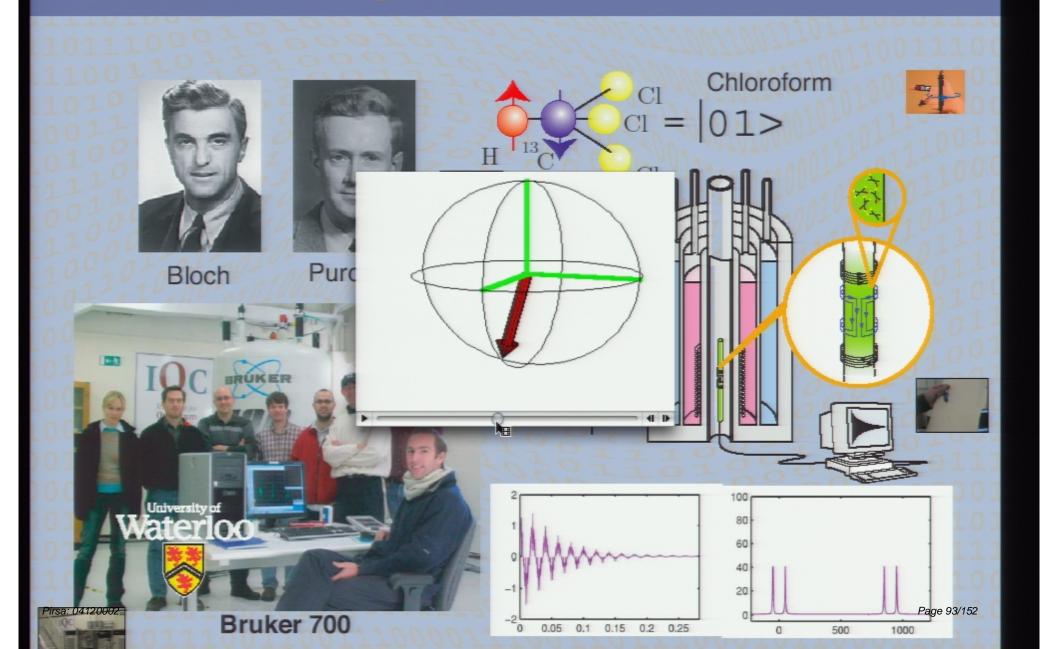


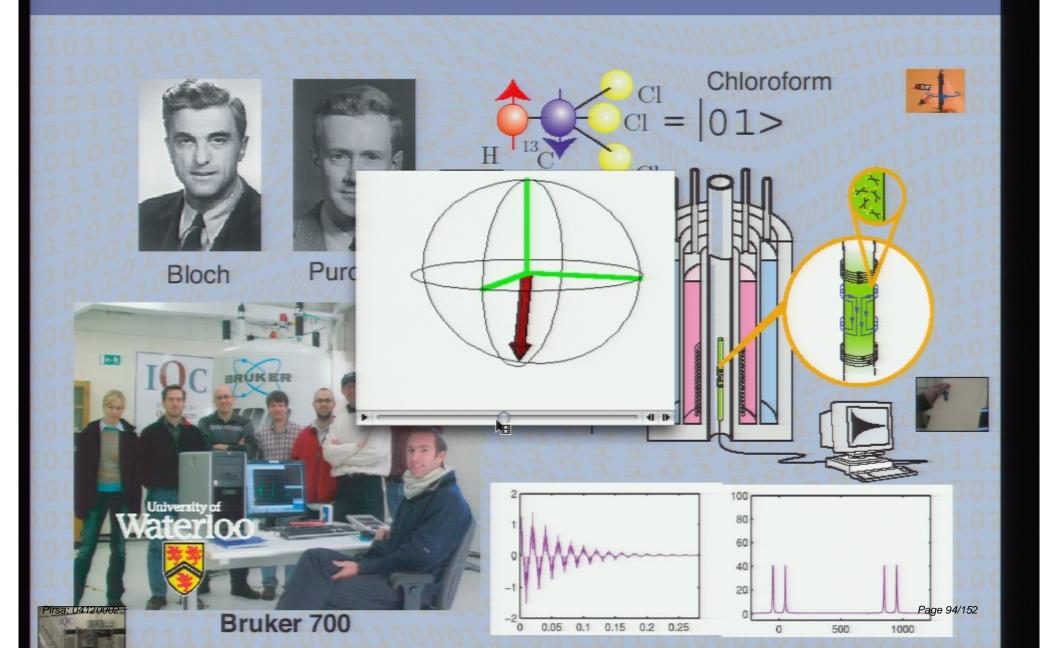


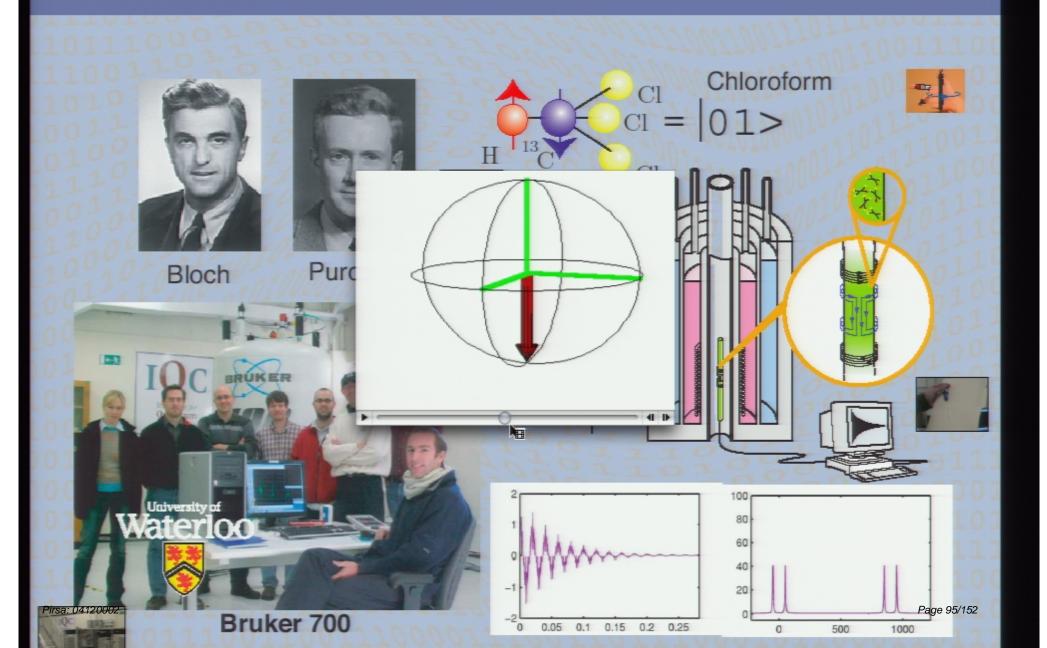


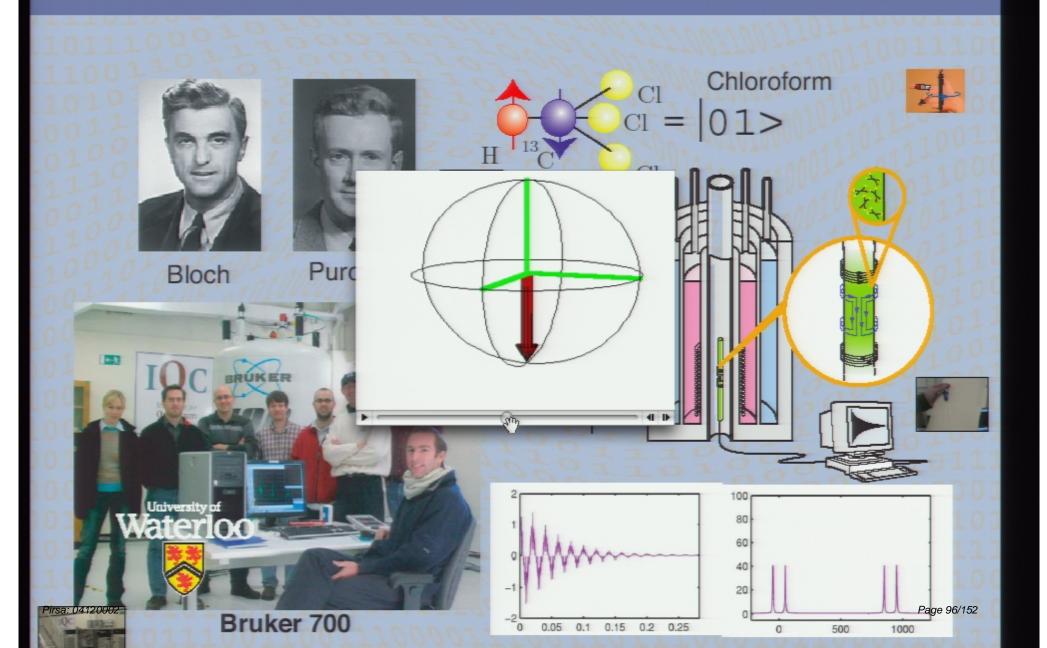


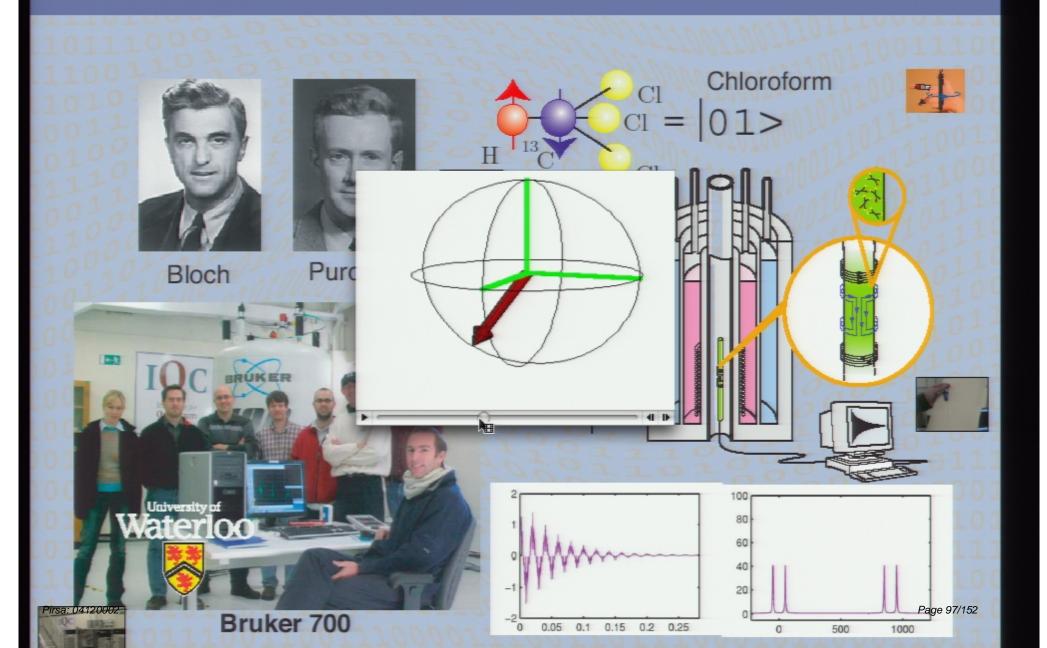


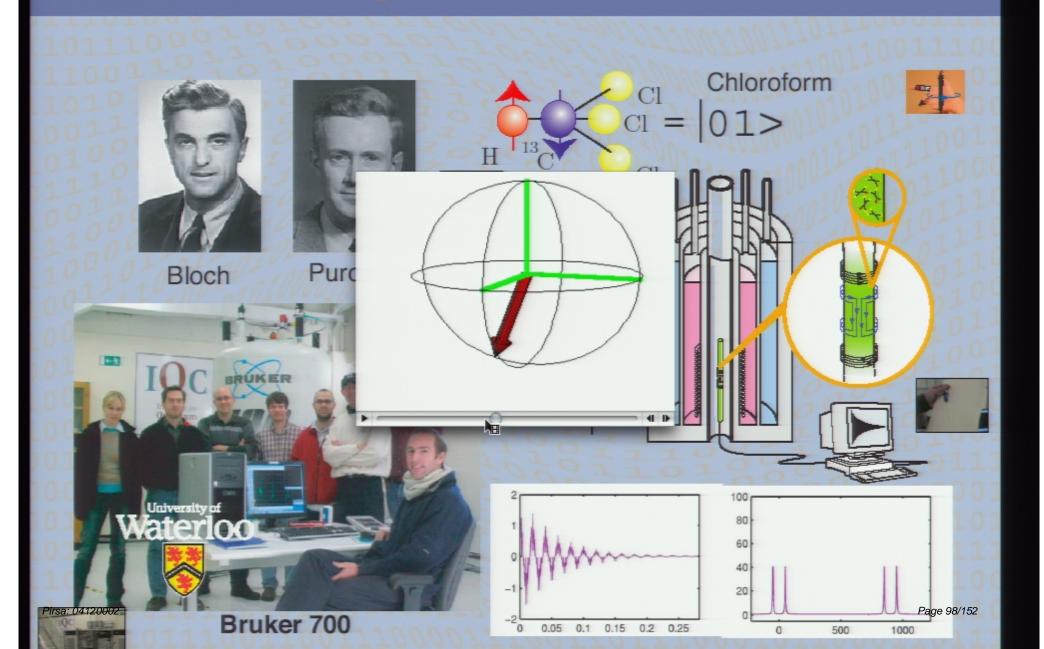


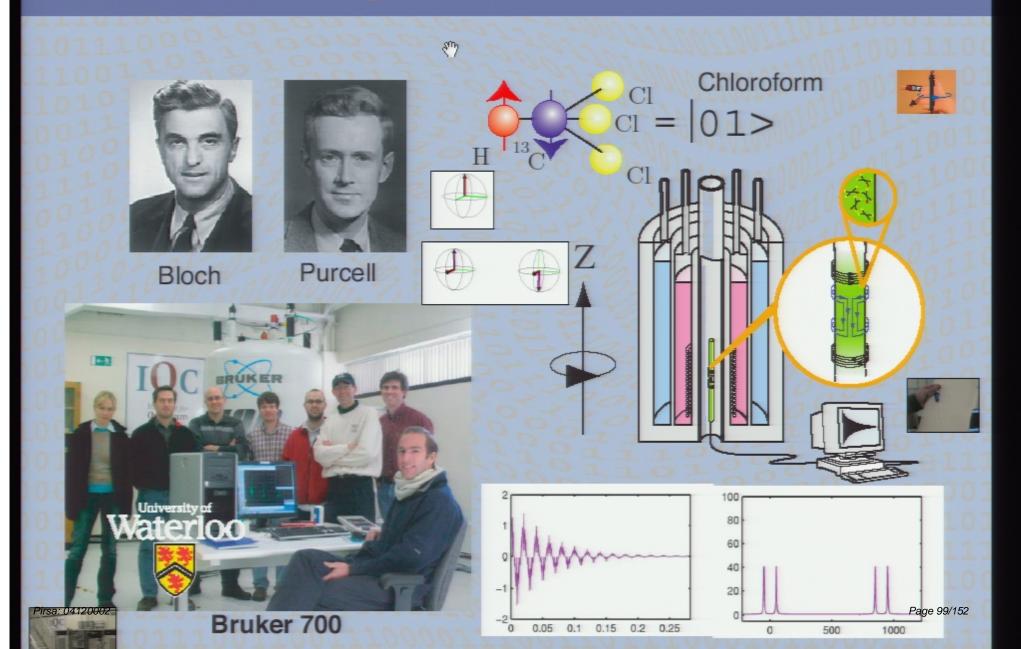


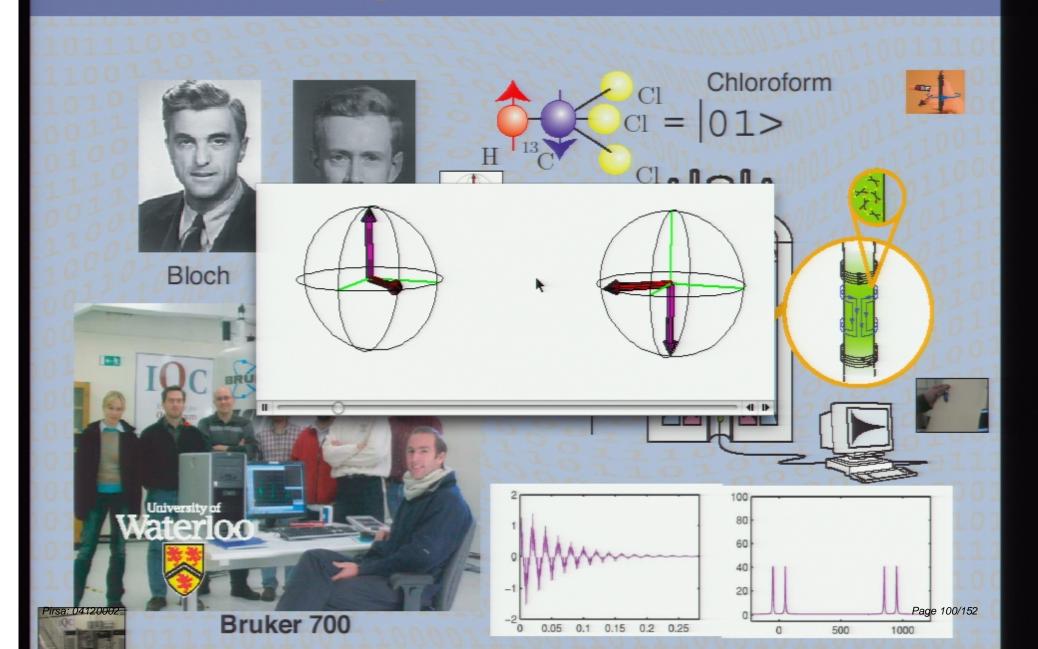


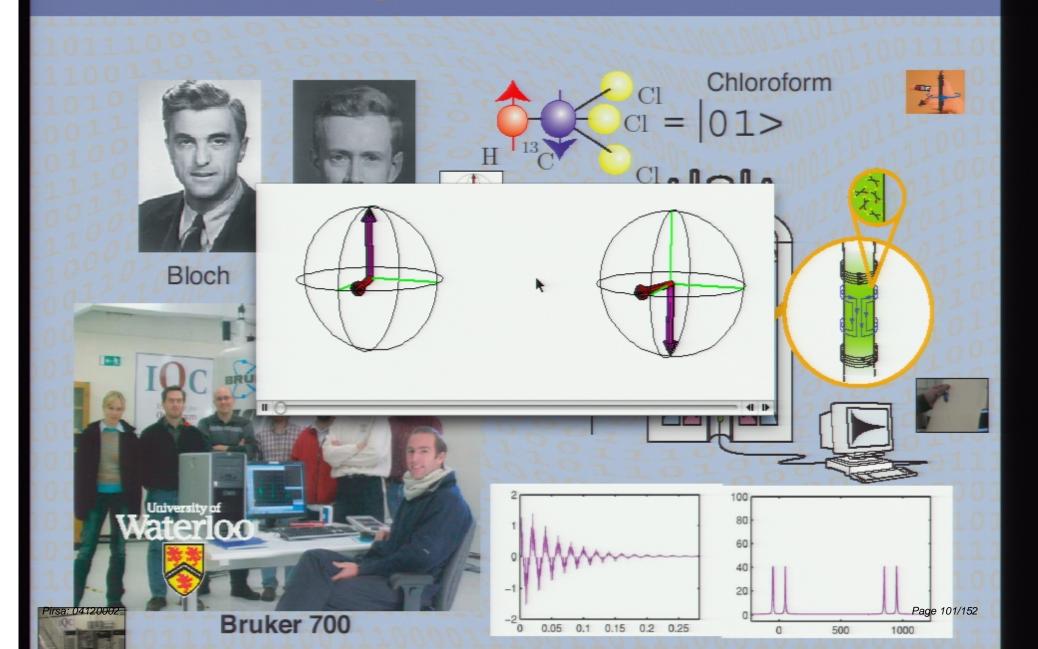


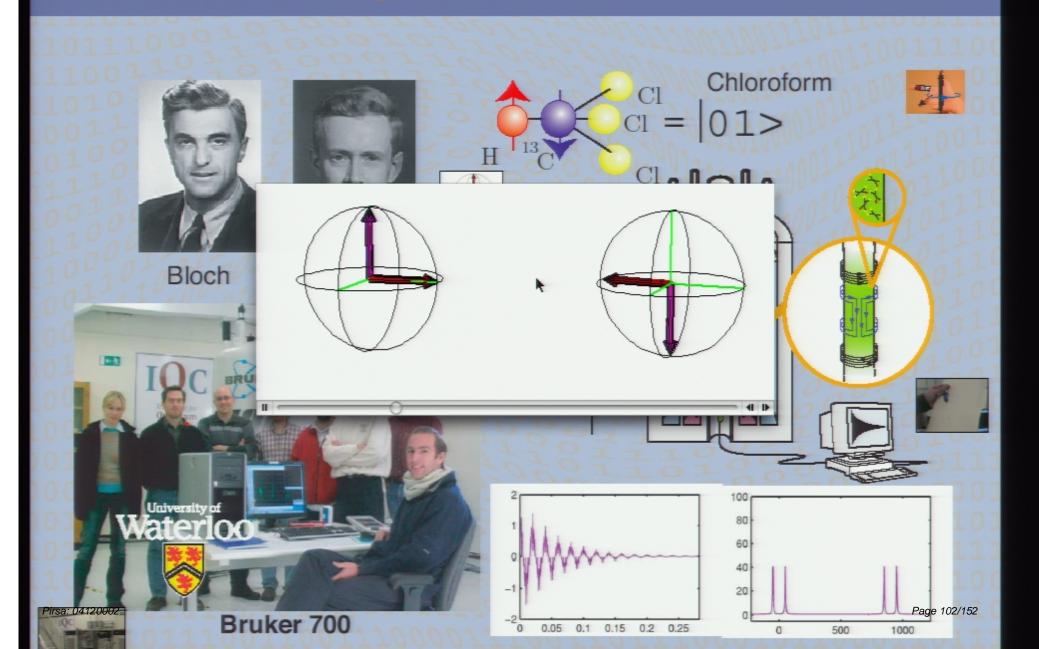


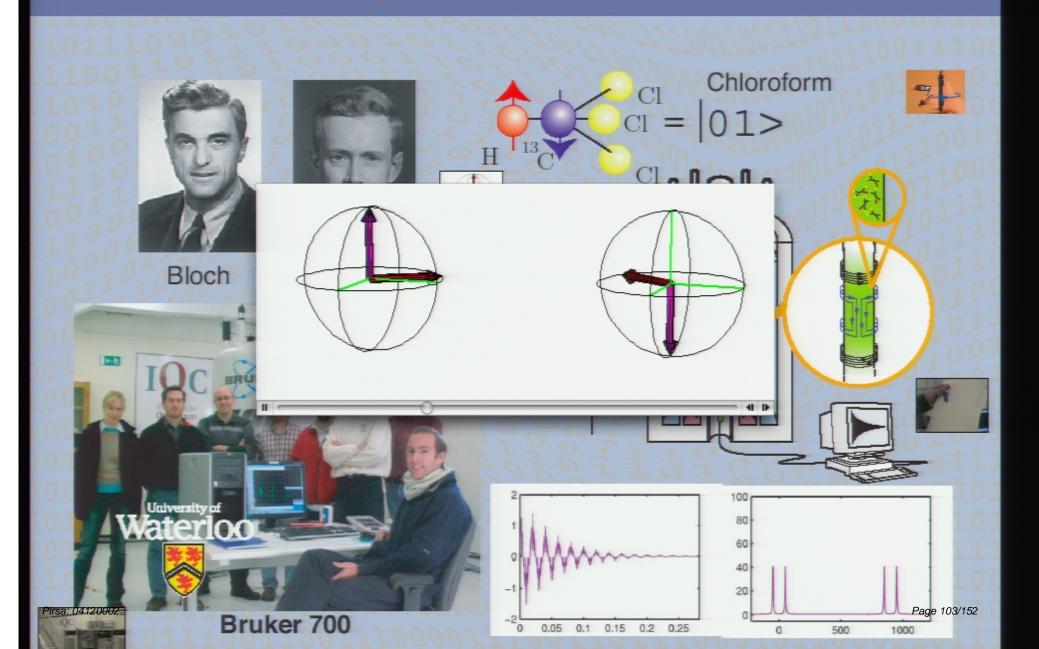


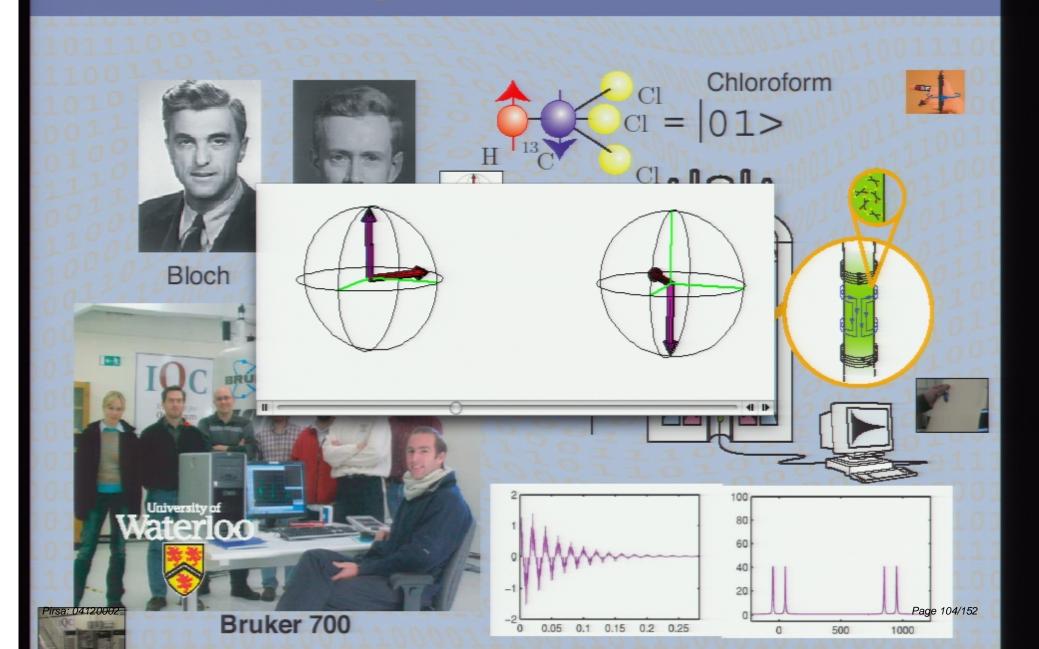


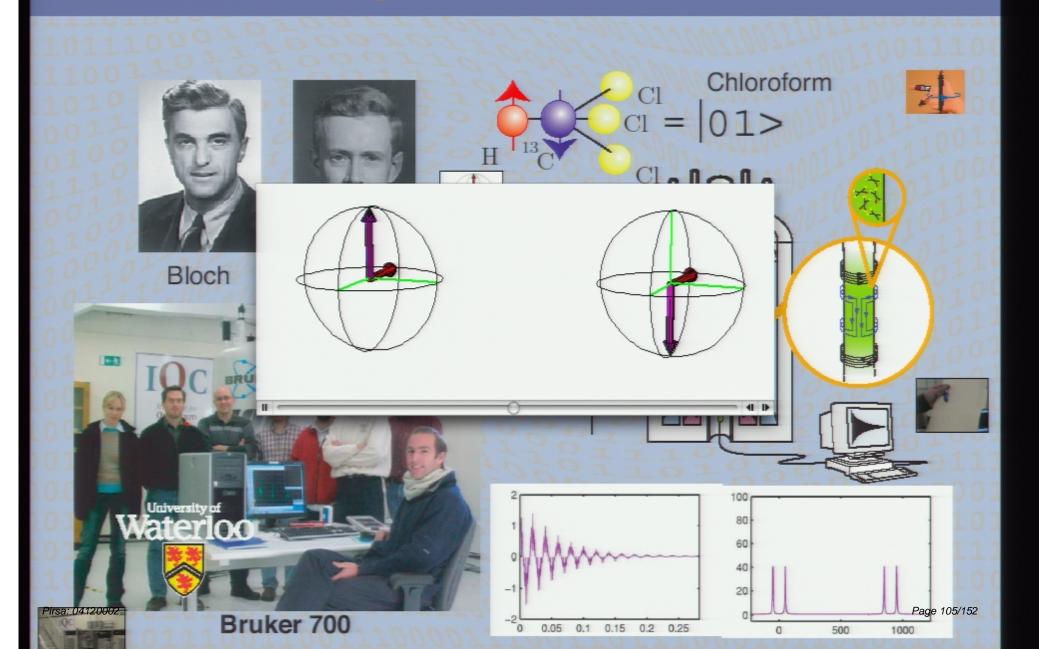


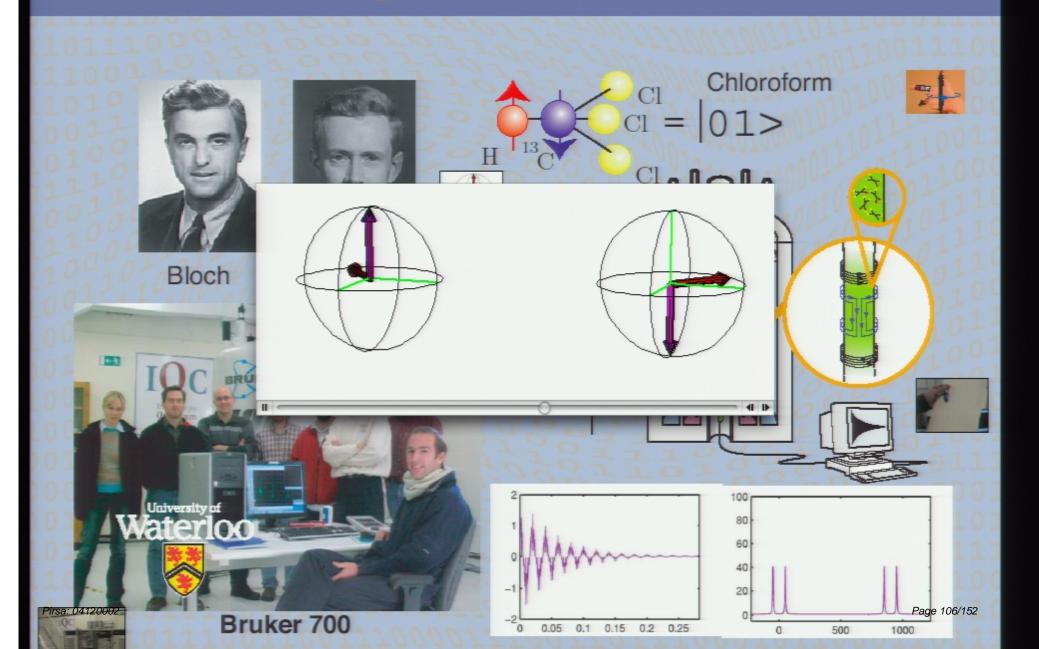


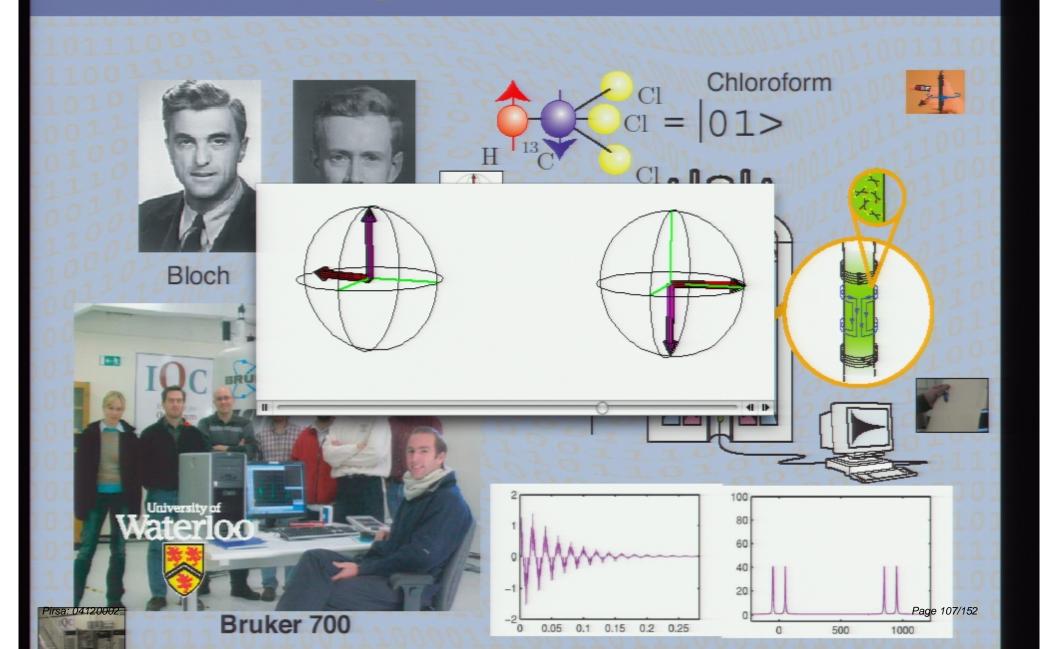


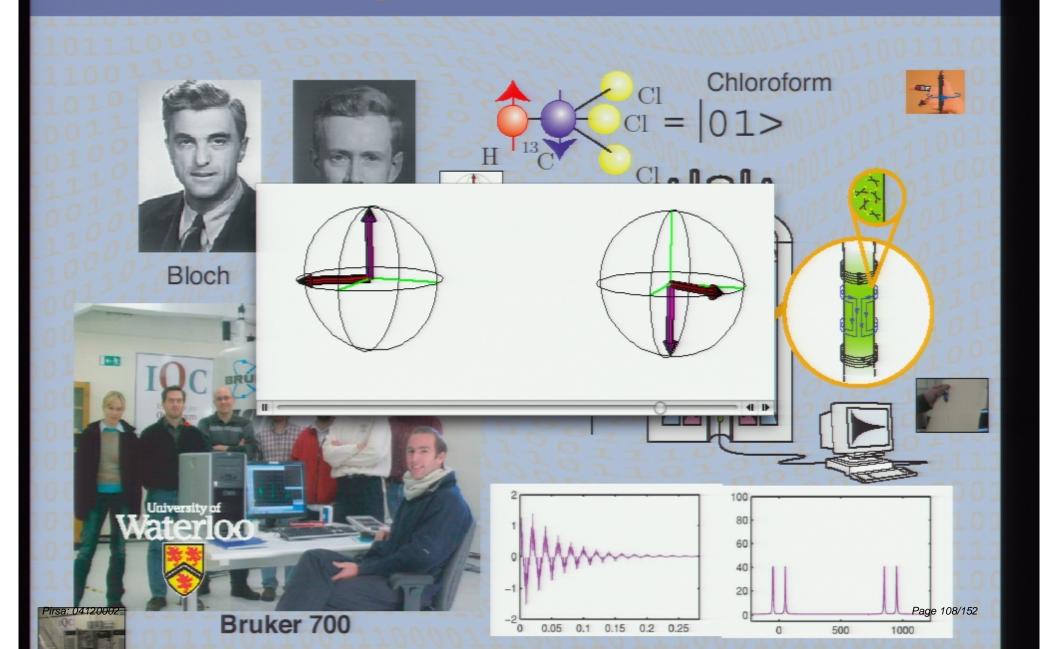


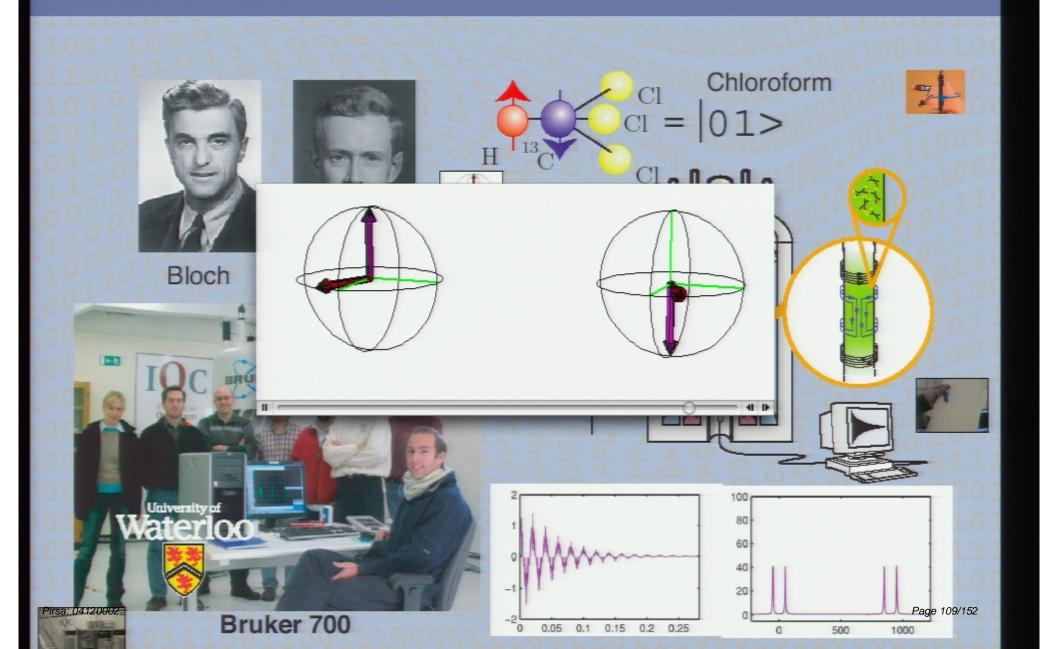


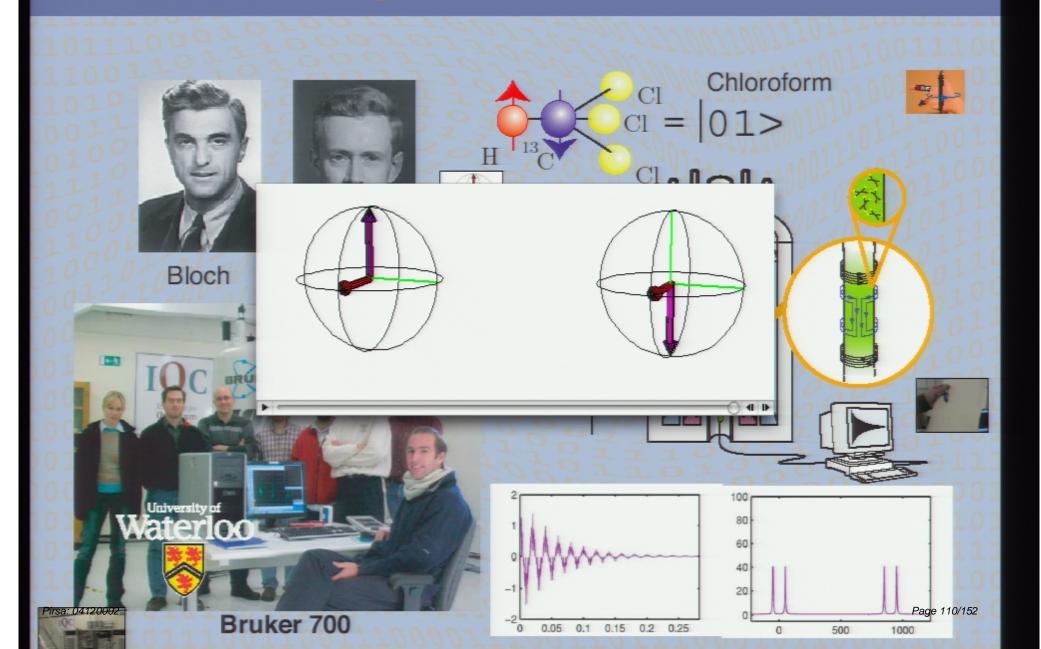


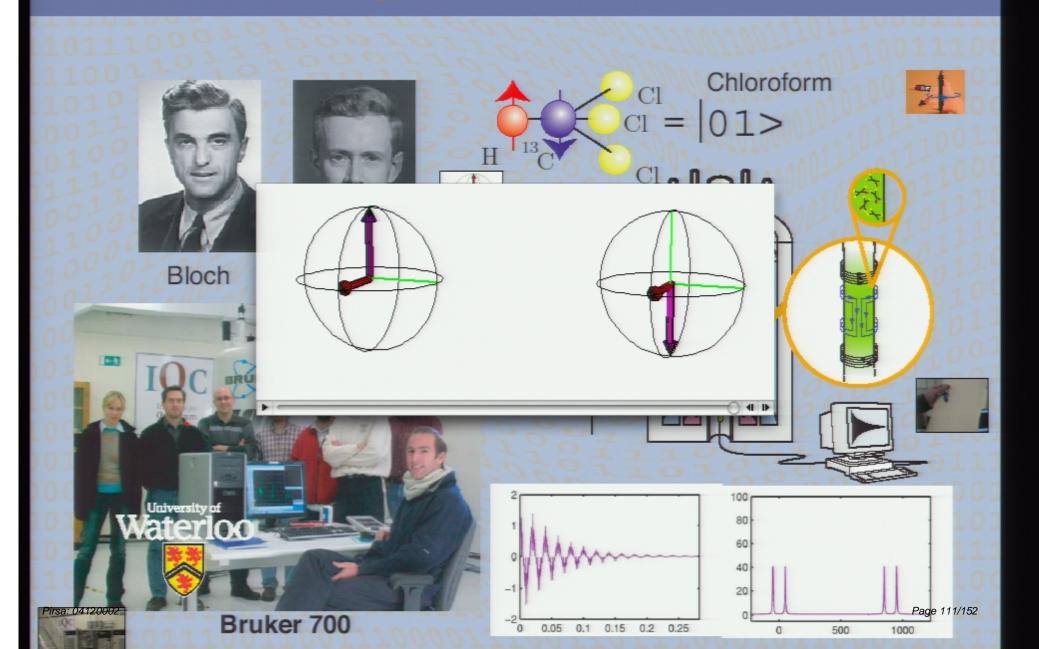


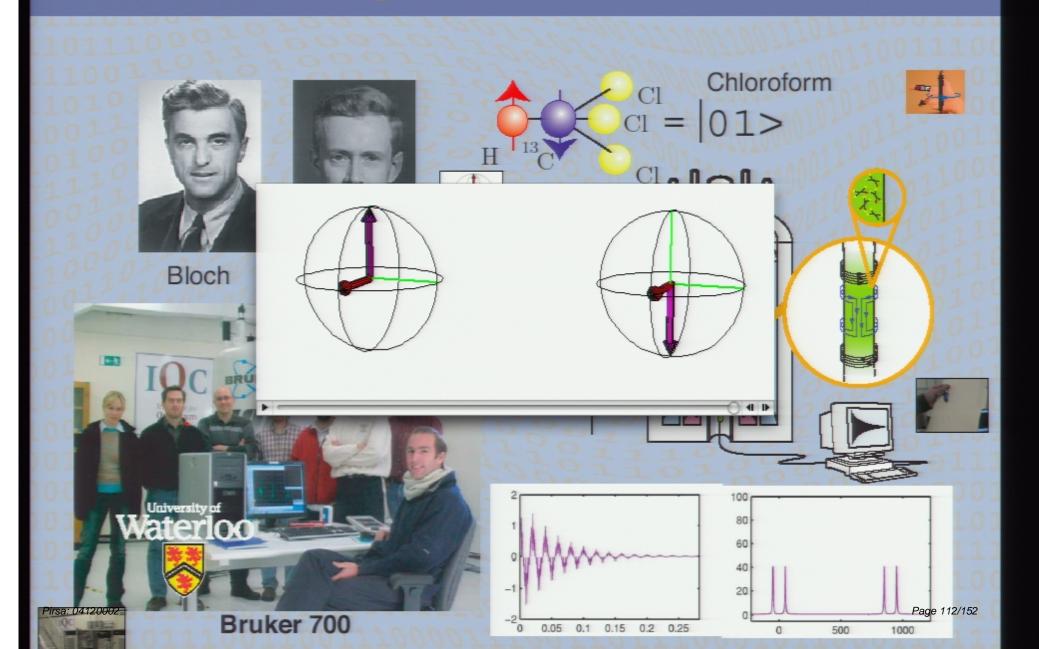


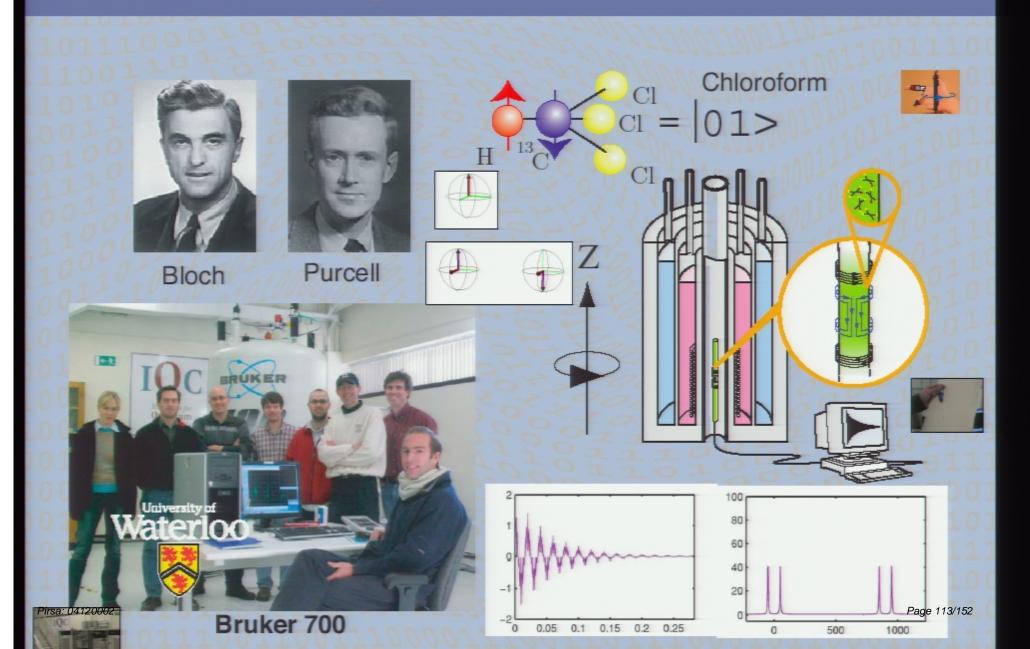


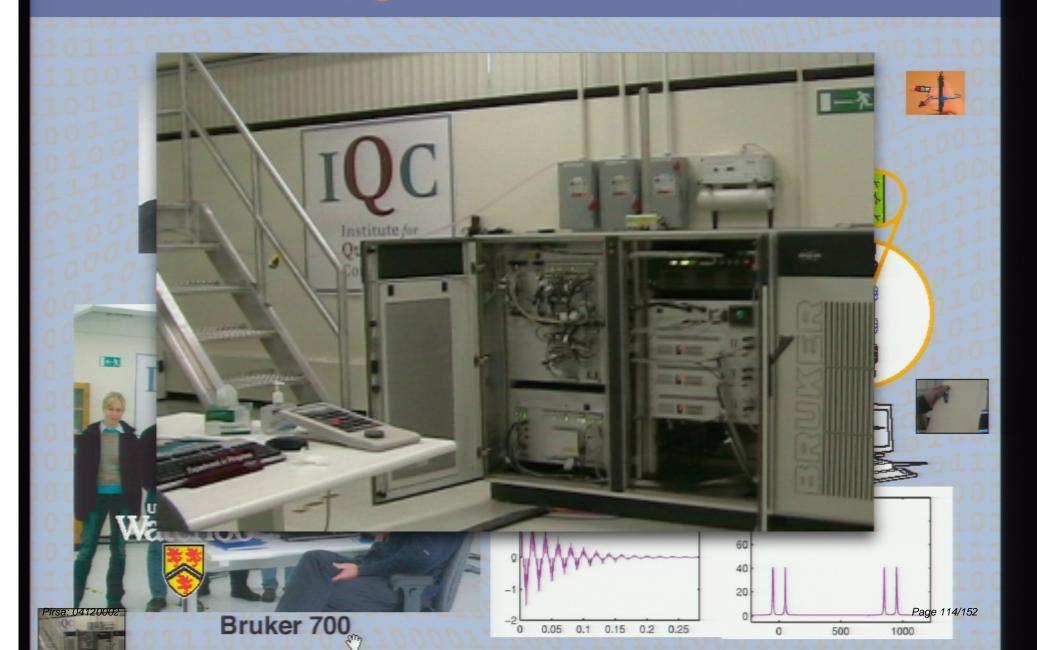


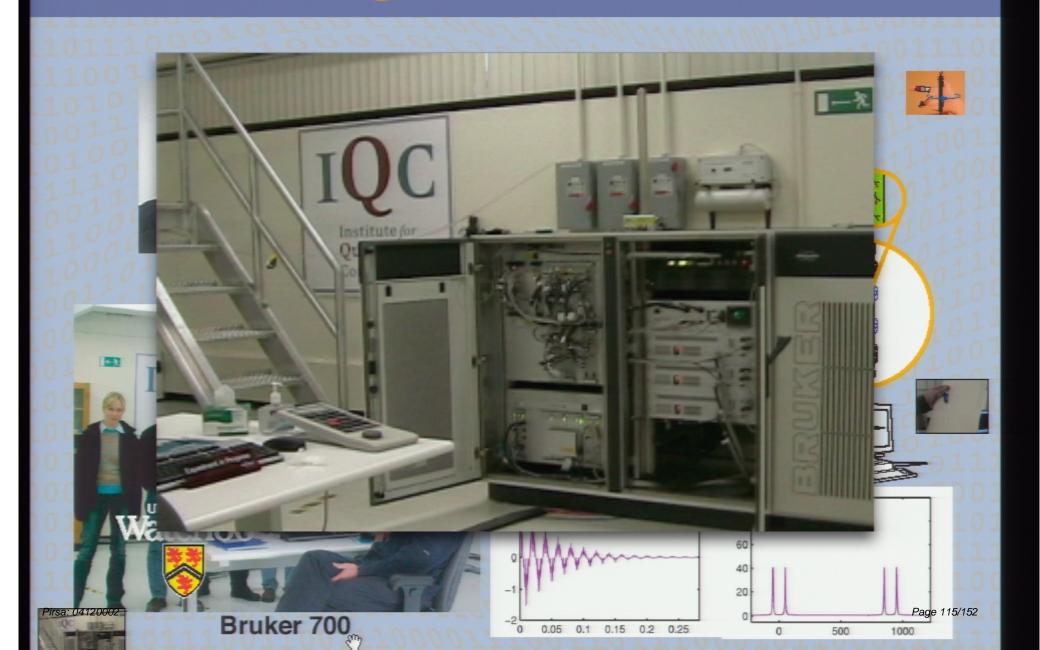


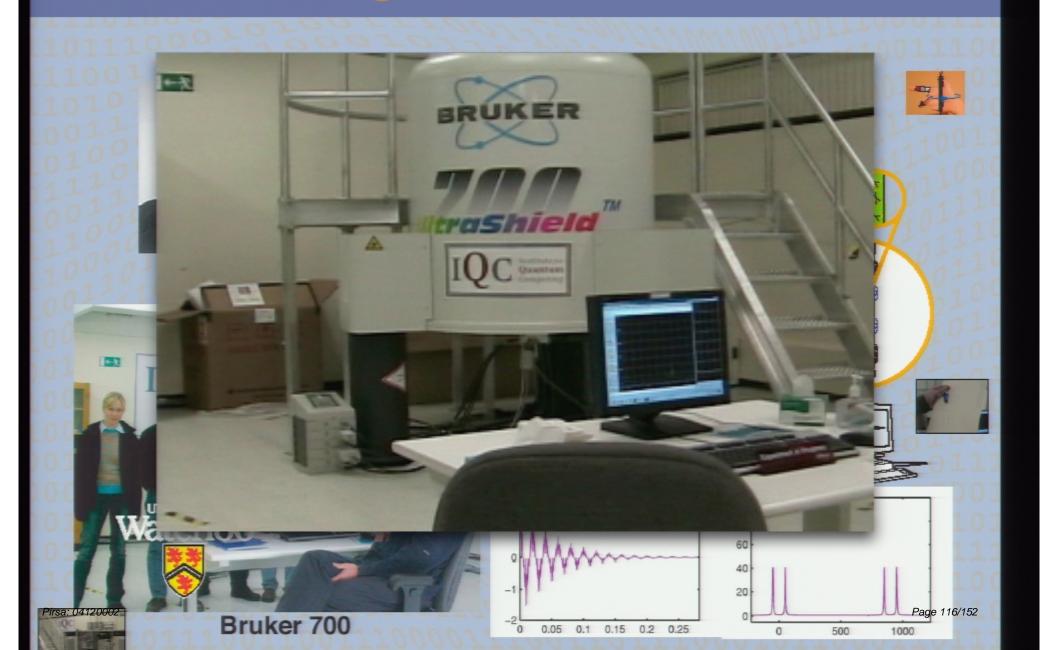


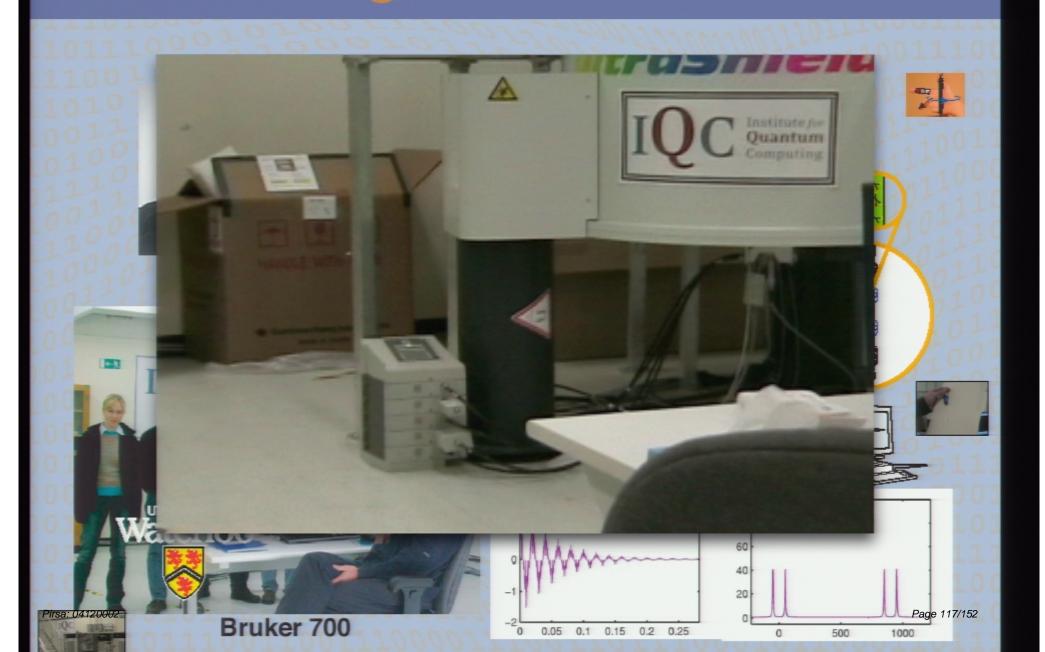




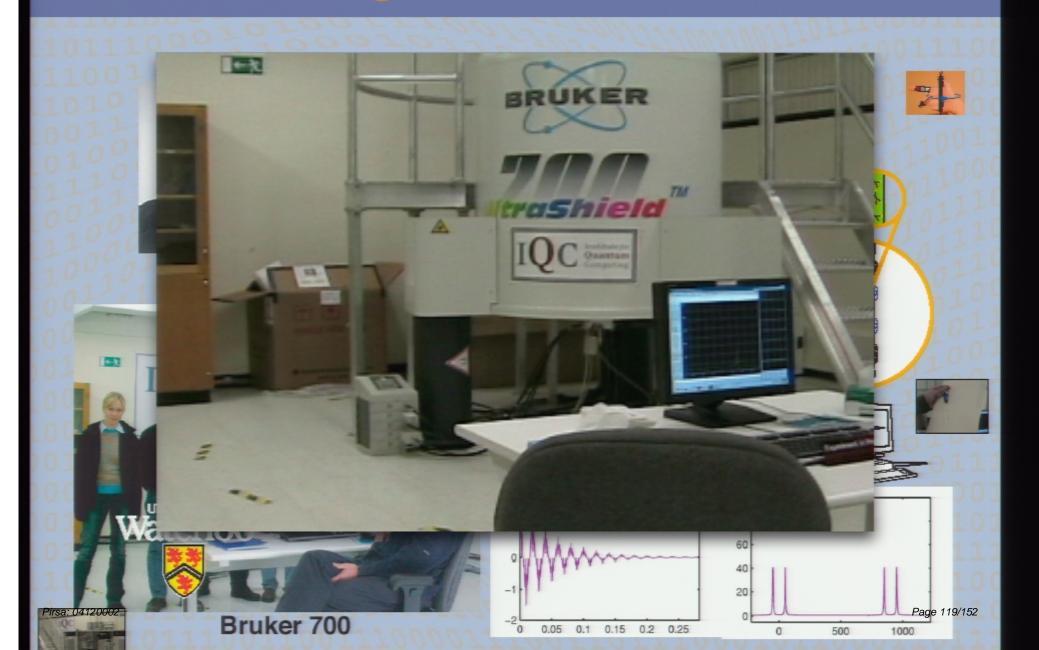


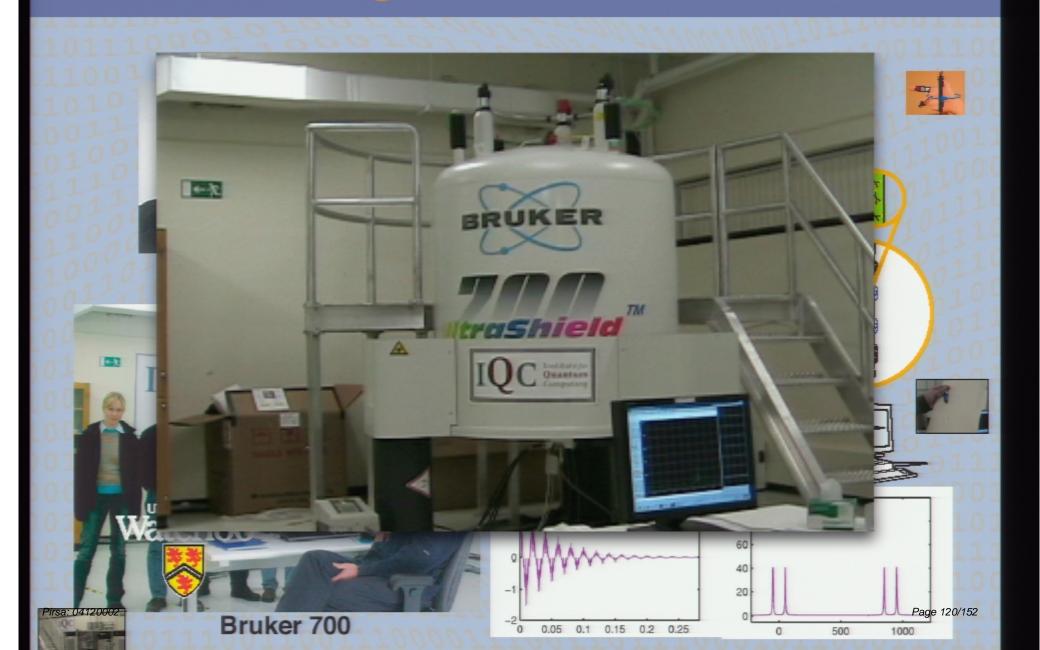


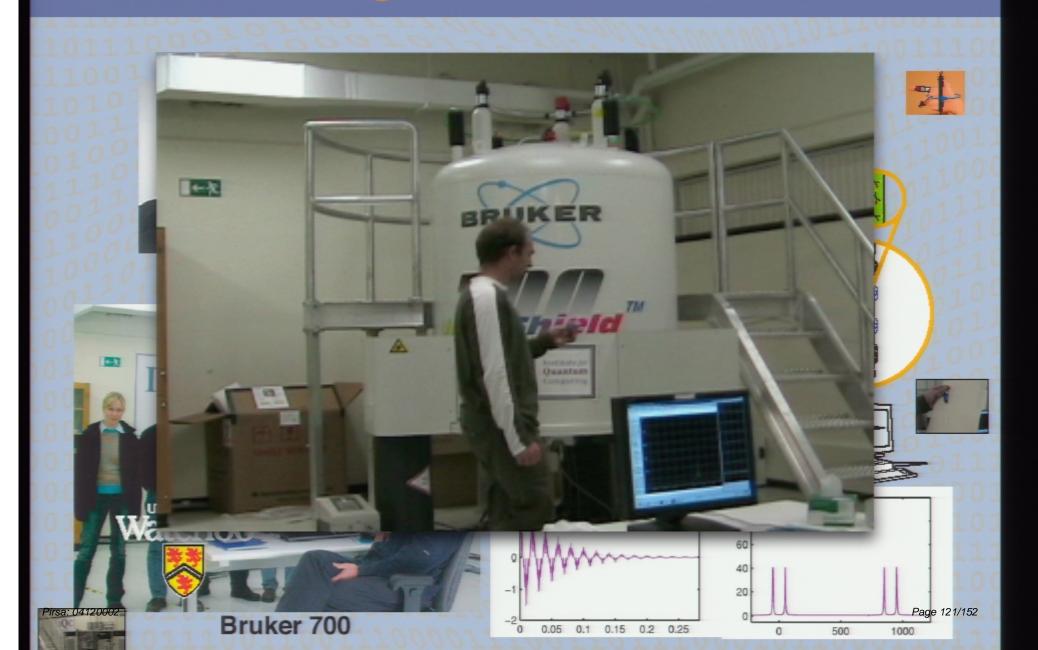


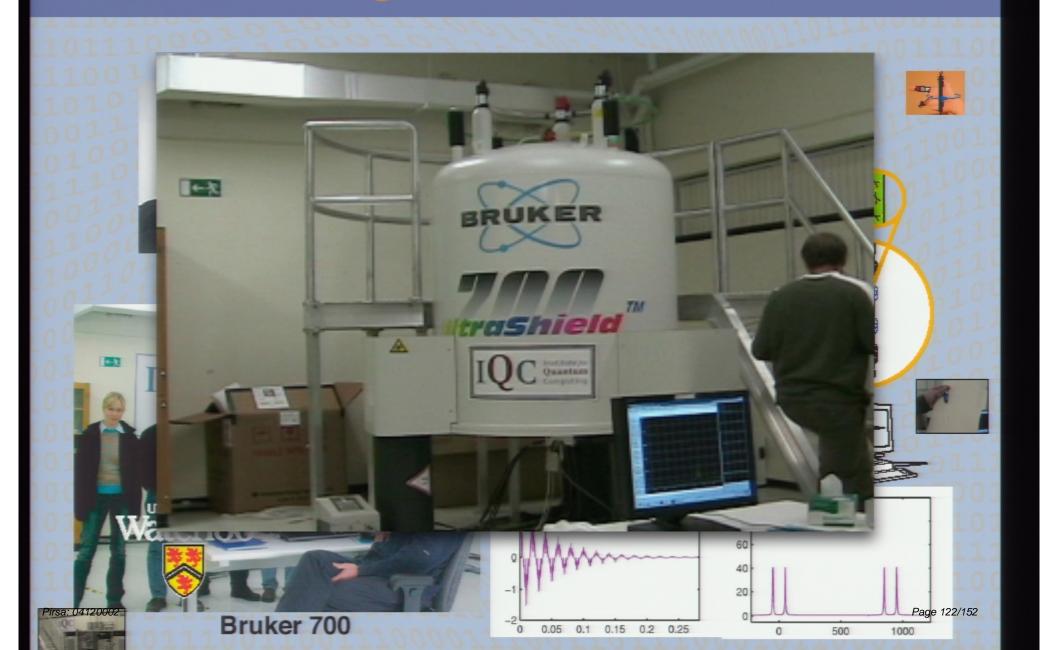


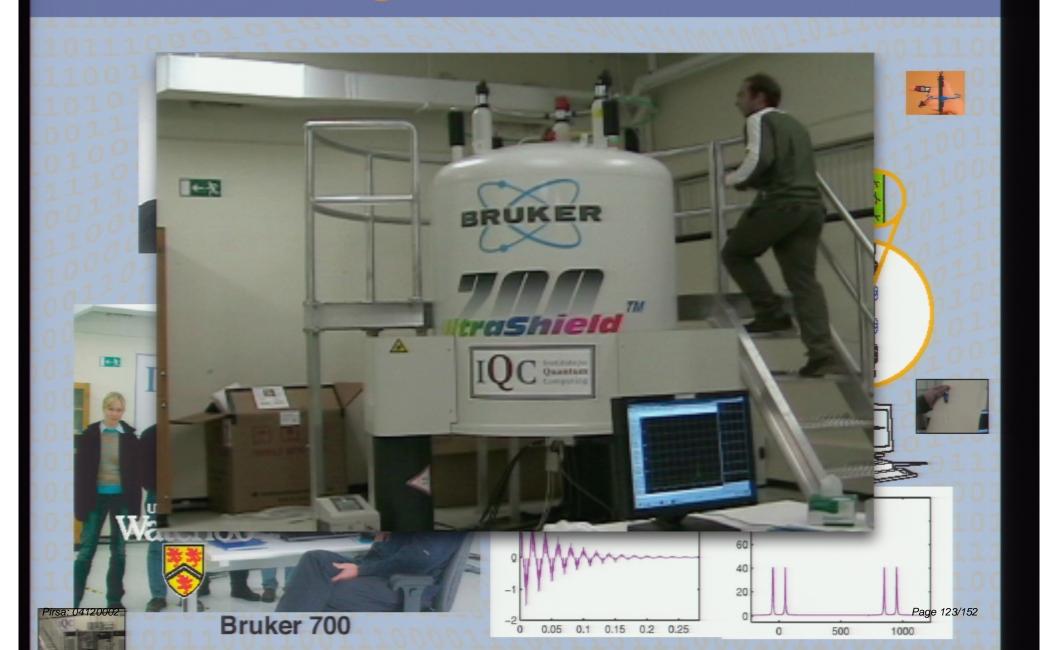


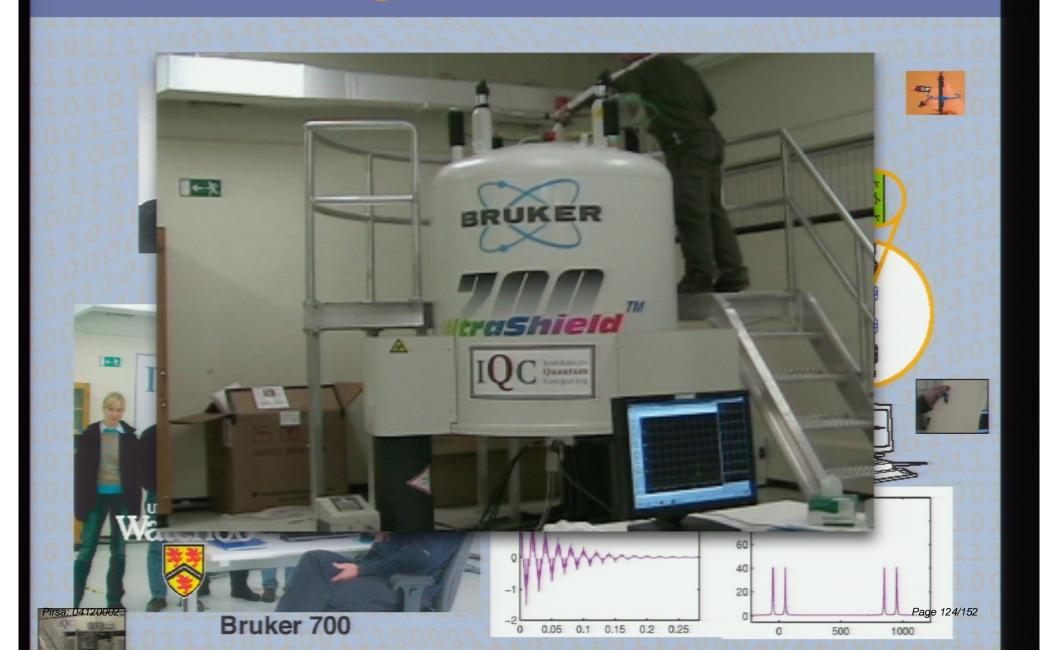


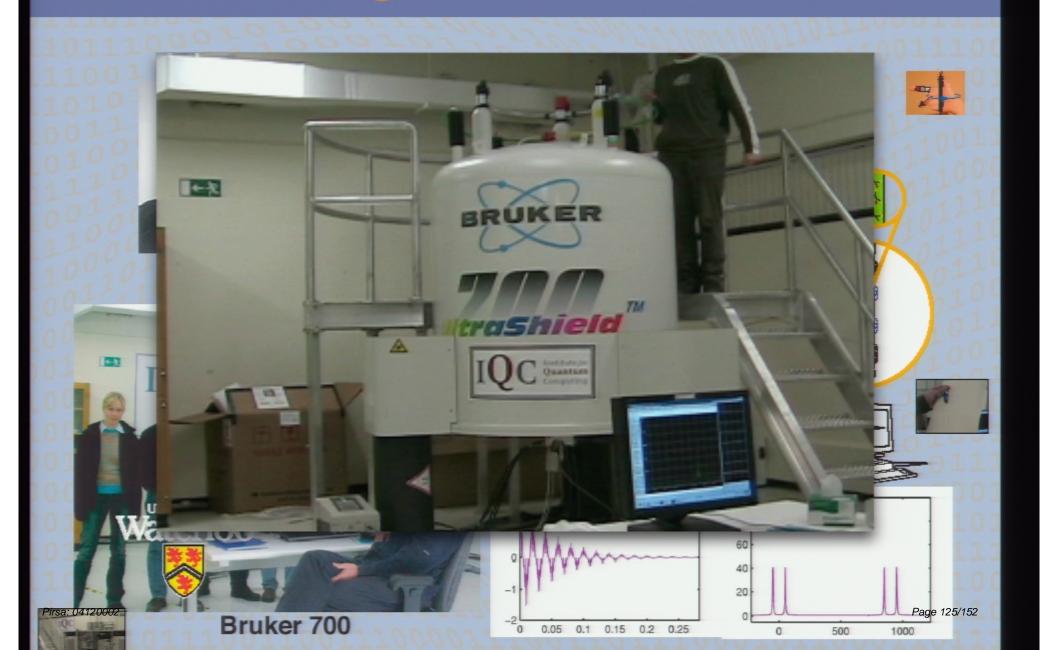


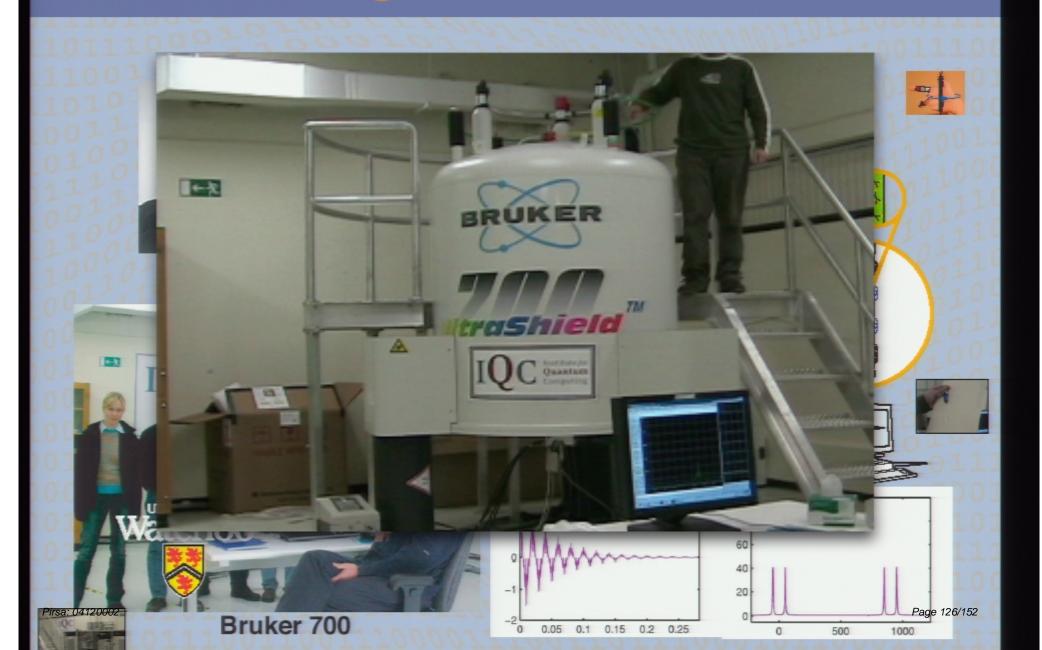


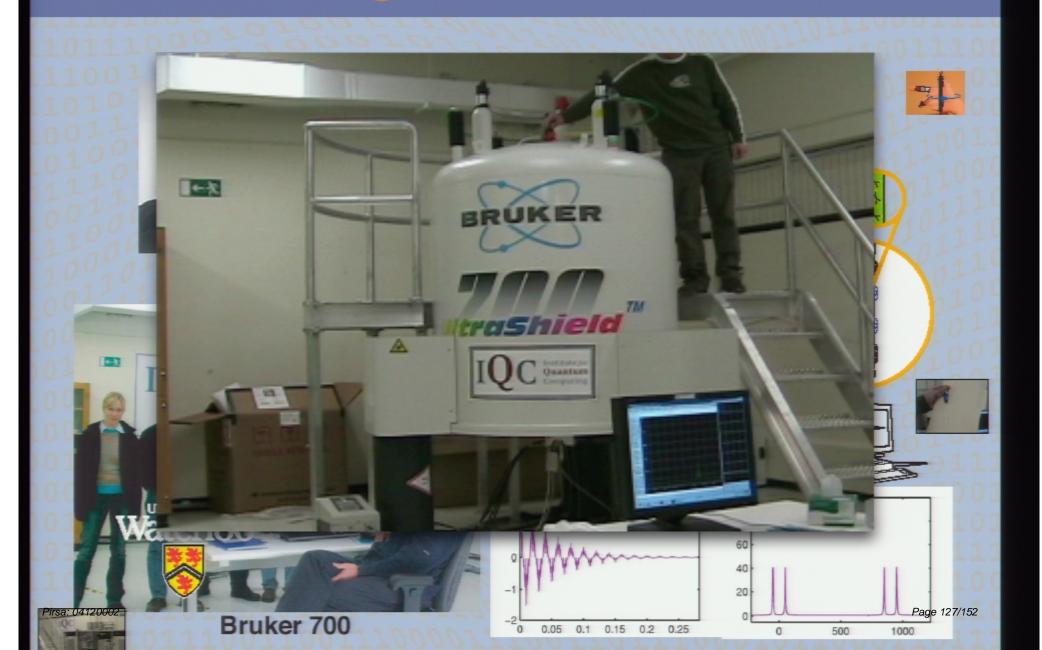


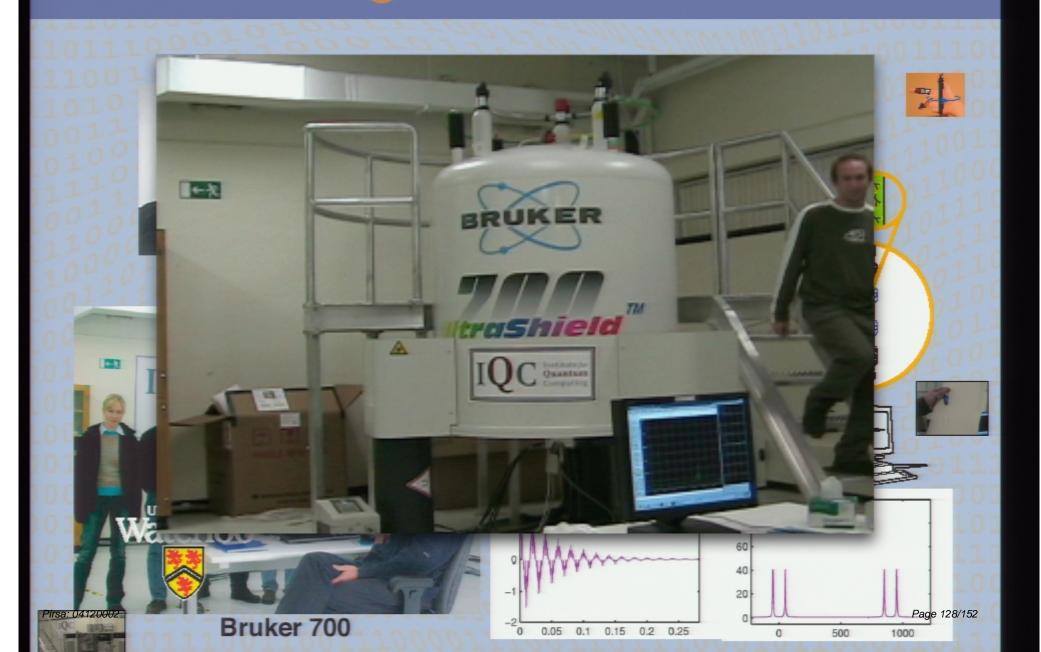


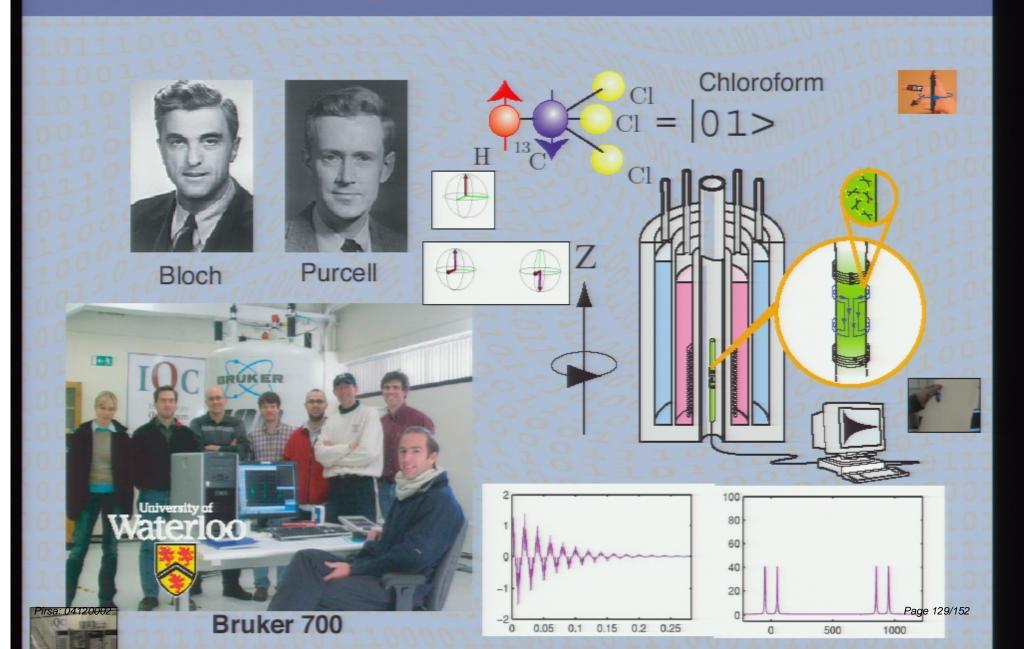


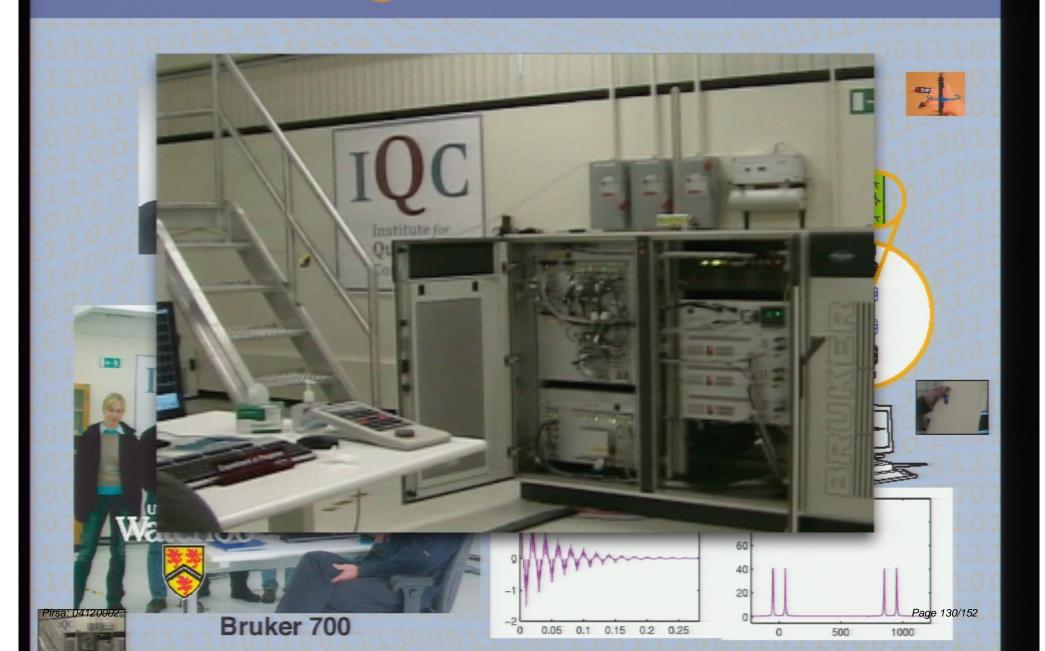


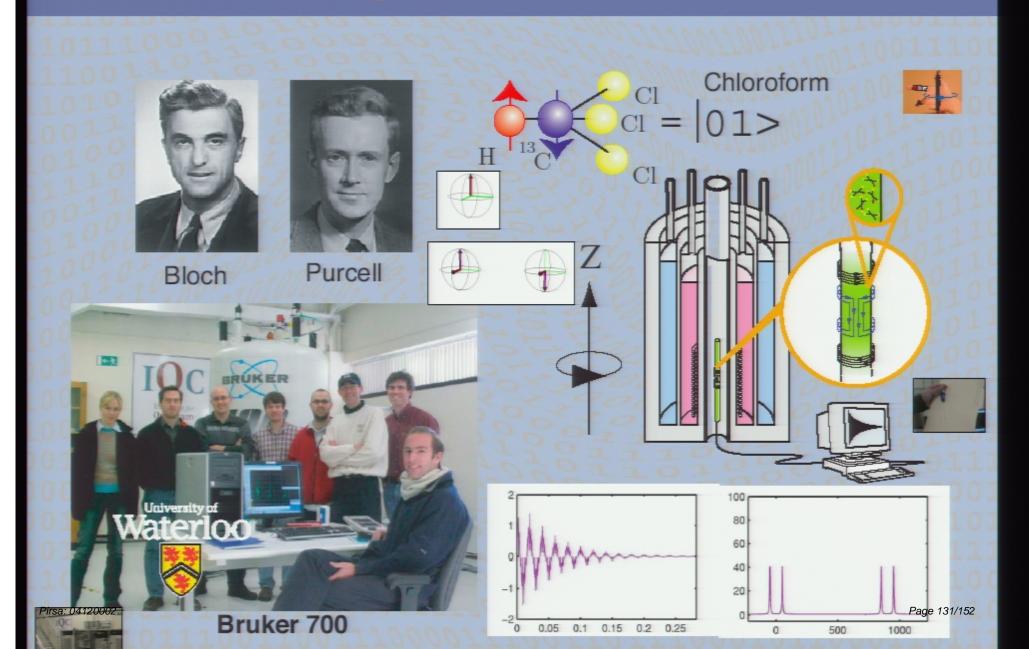


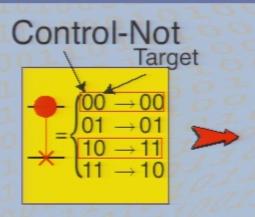






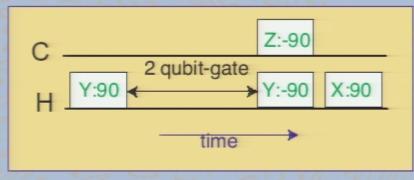


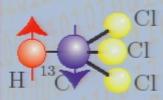




Pirsa: 04120002

Quantum circuit





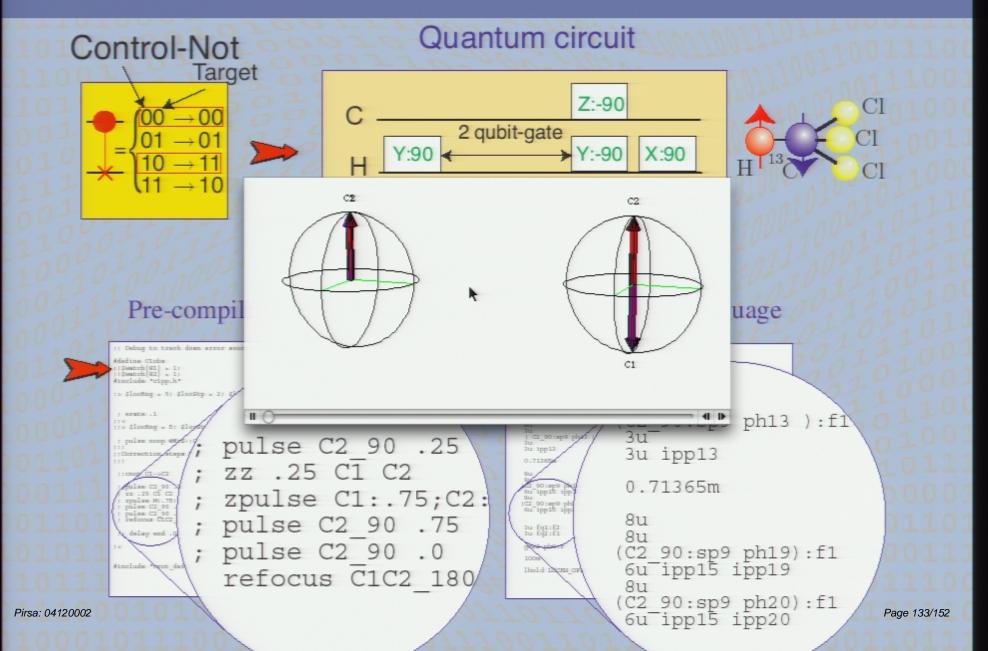


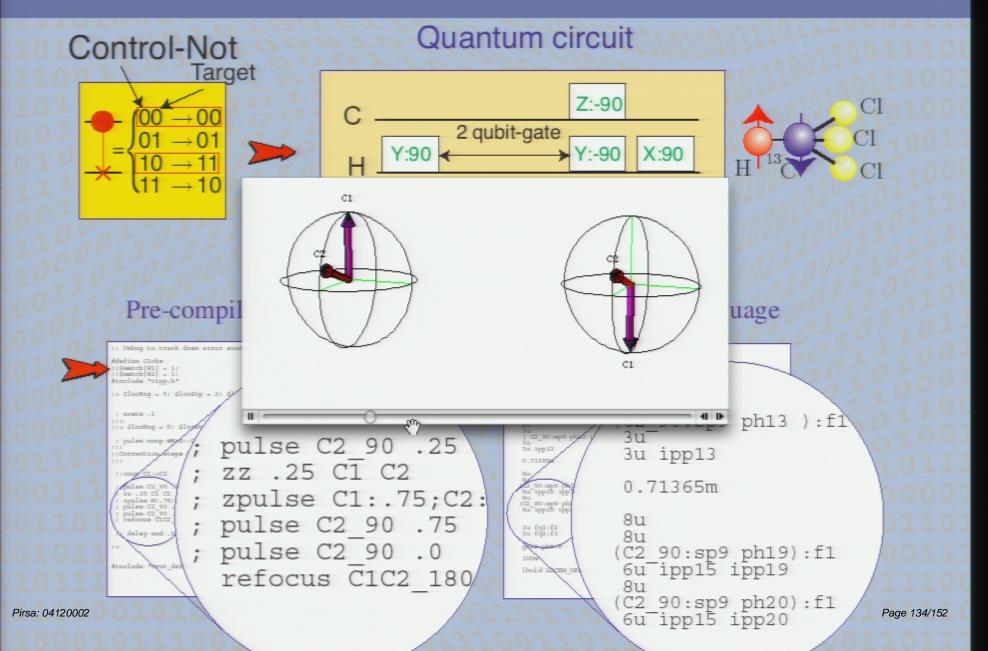
Pre-compiler (Optimizer)

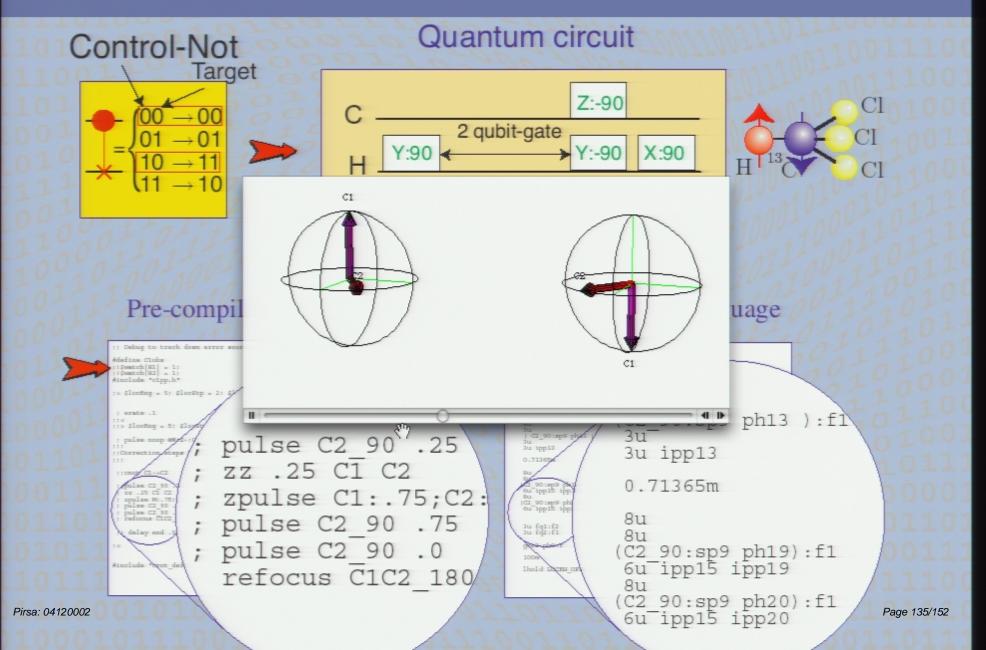
Bruker (machine) language

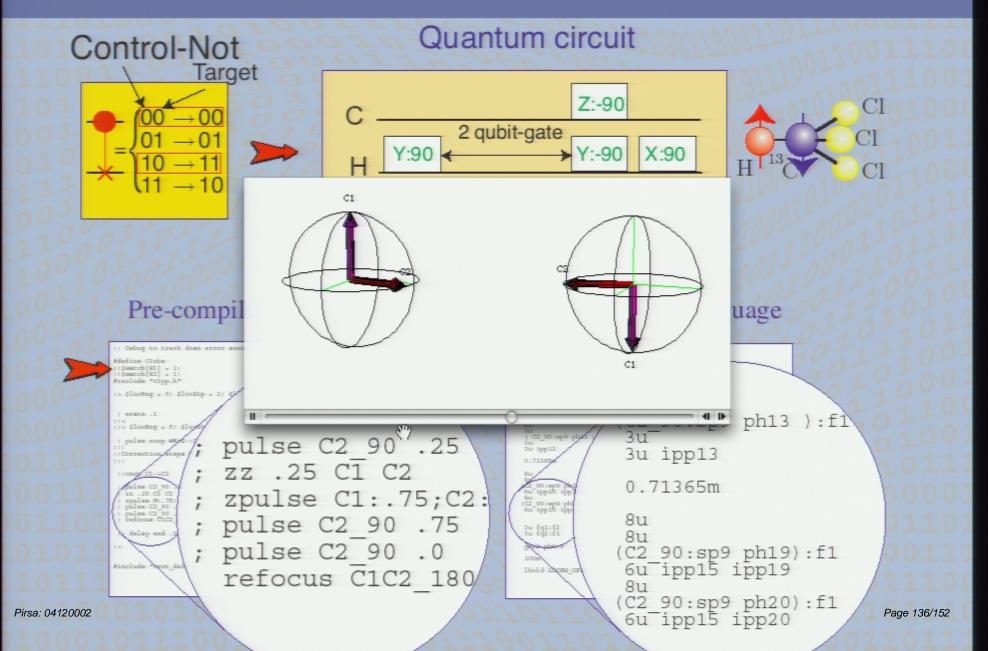
```
### Closure Claims of the Clai
```

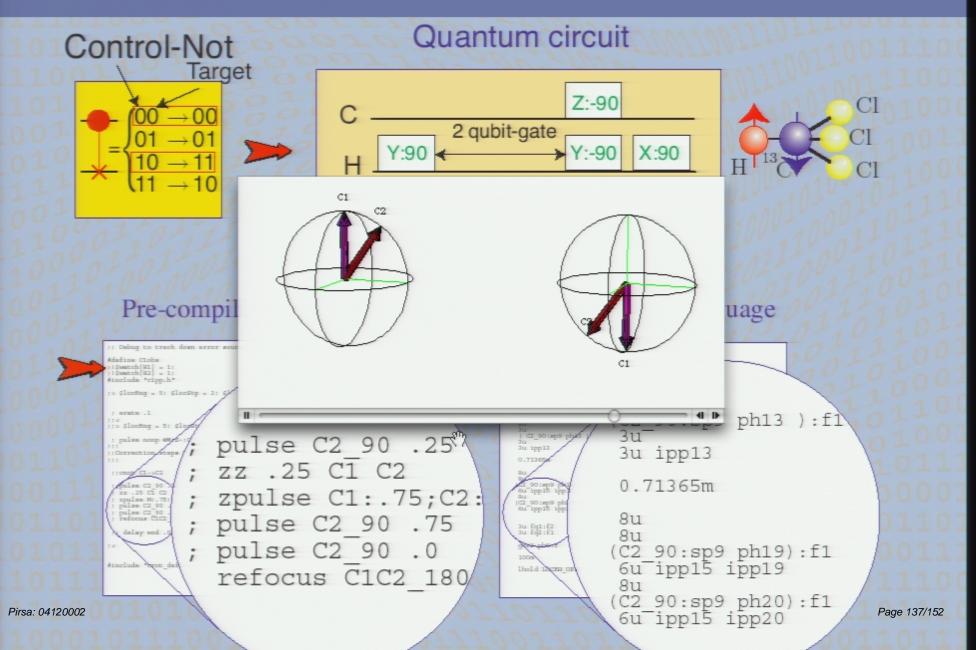
Page 132/152

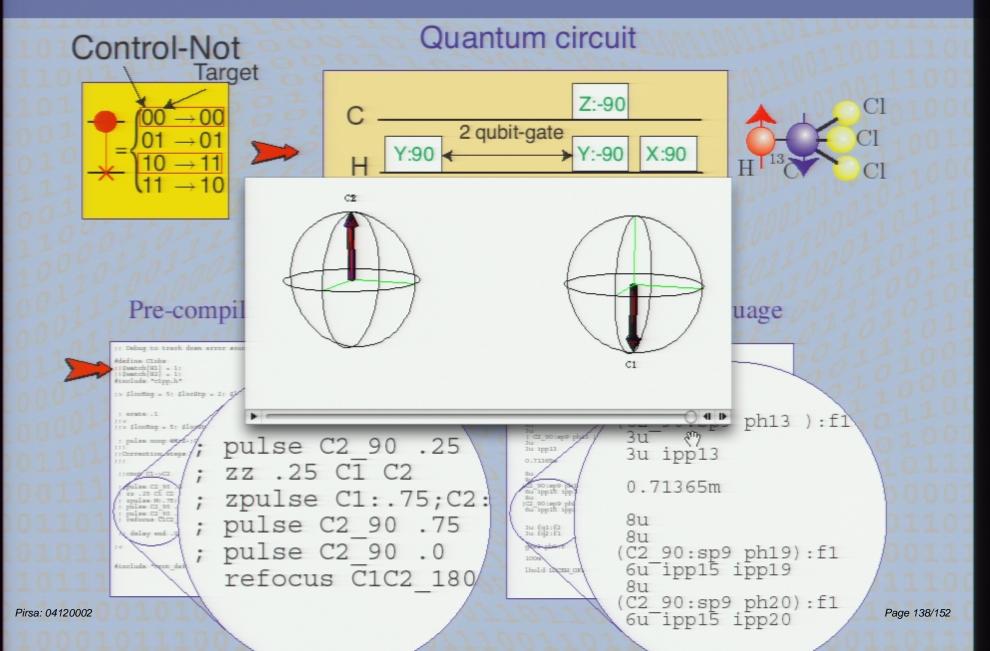


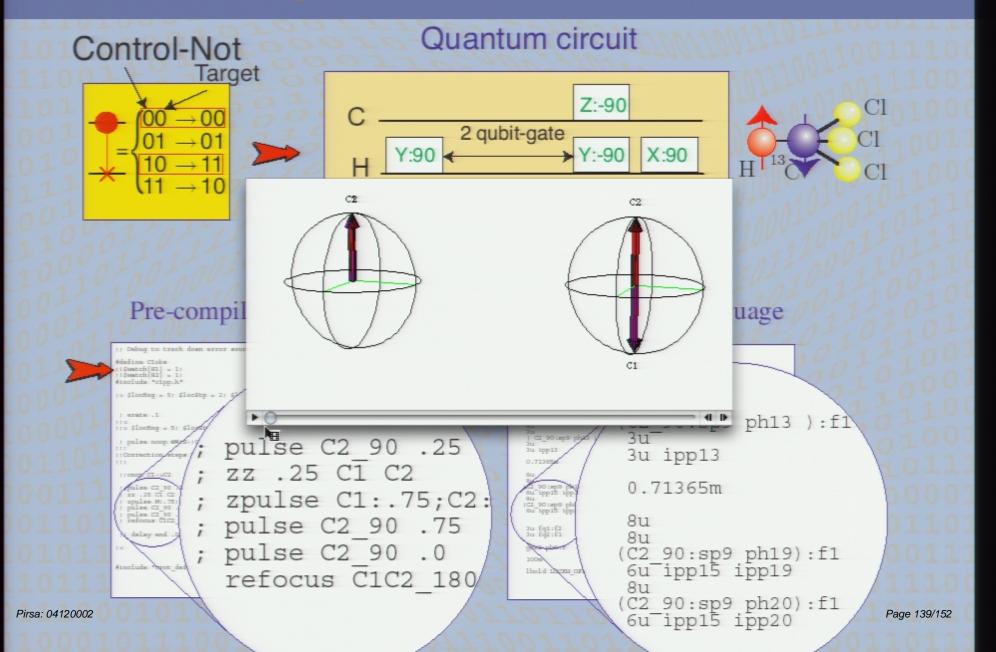


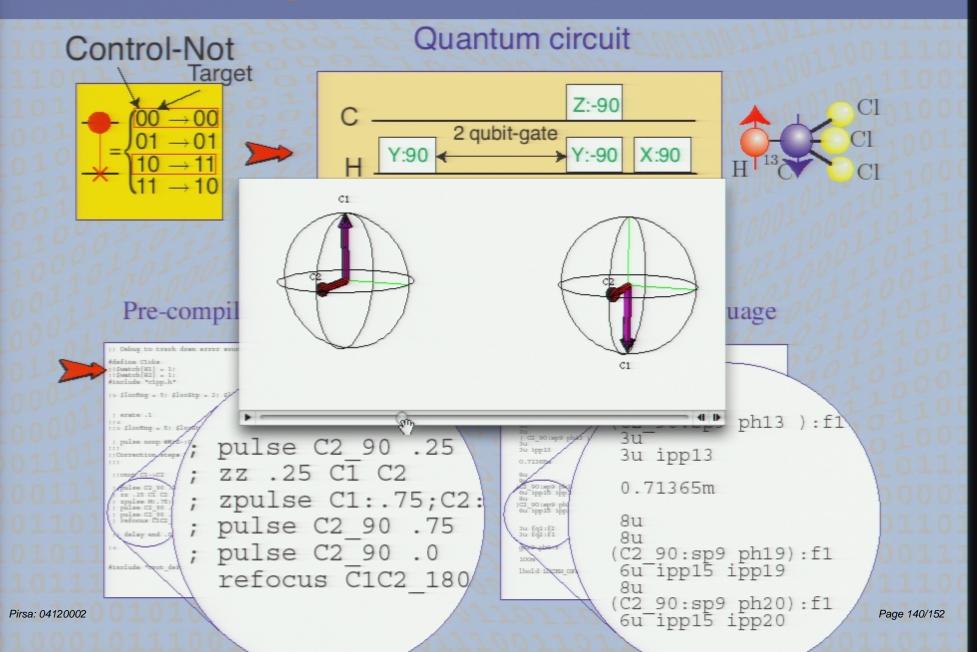


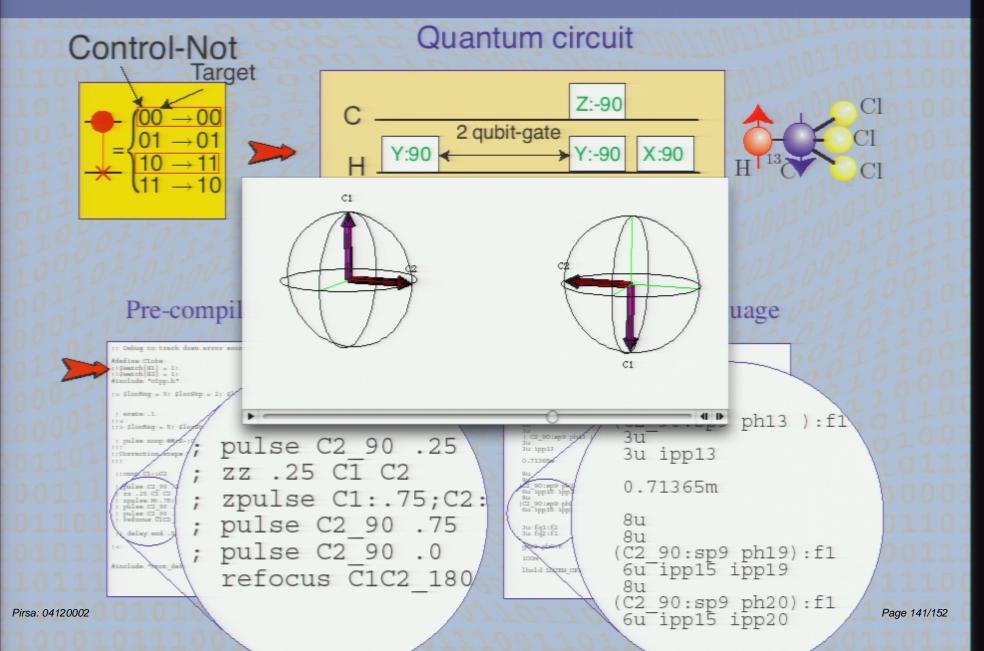


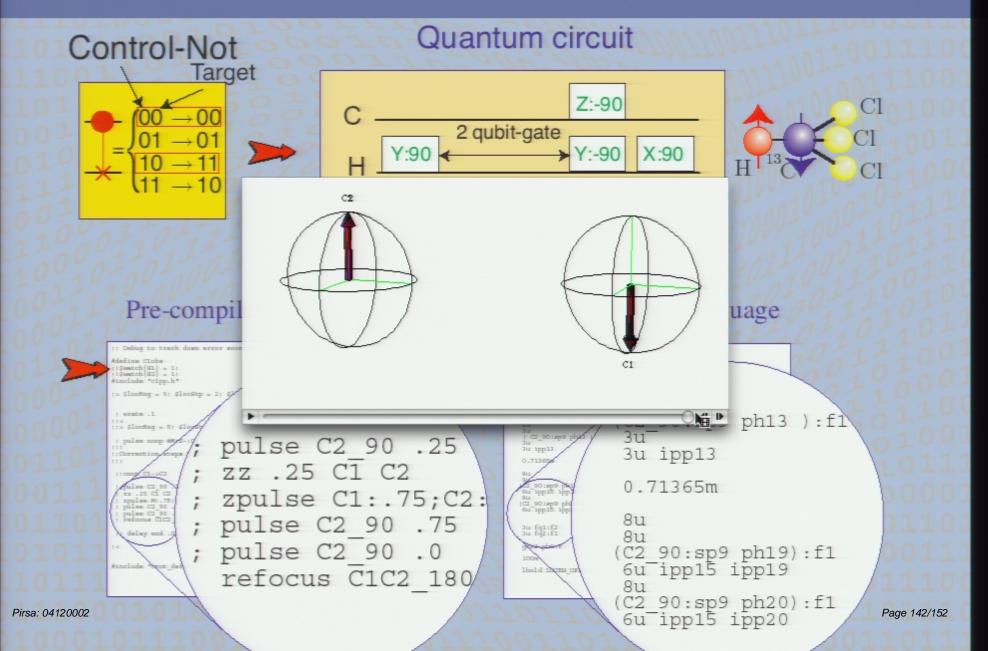


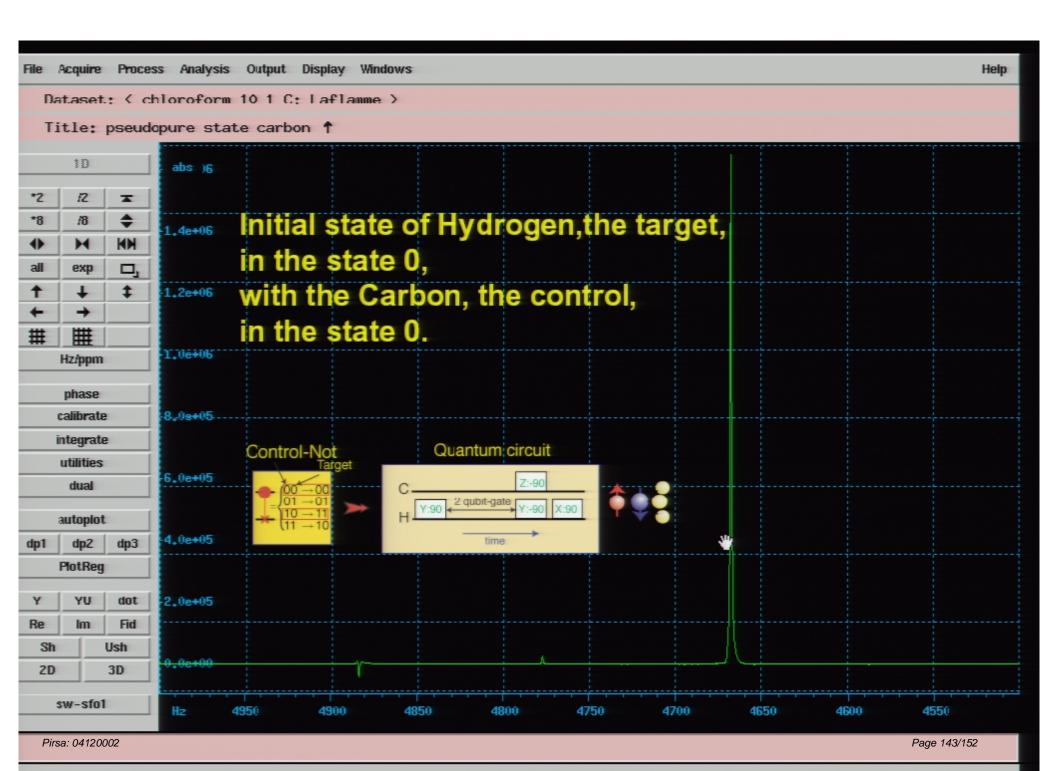


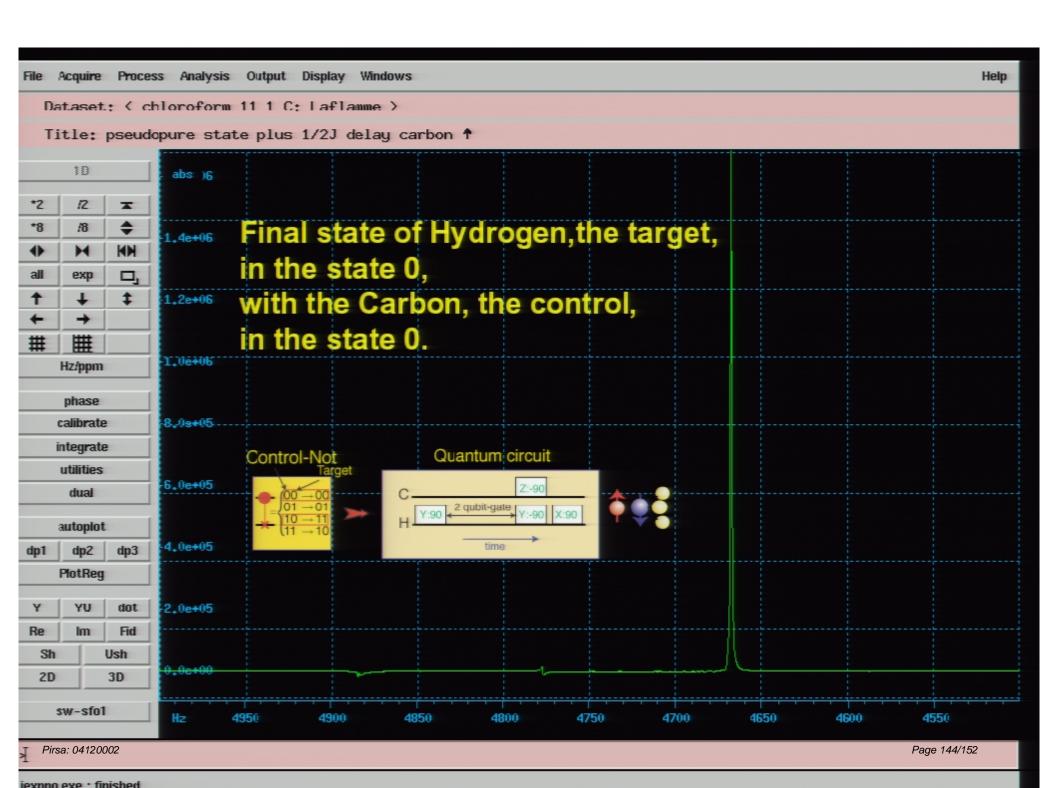


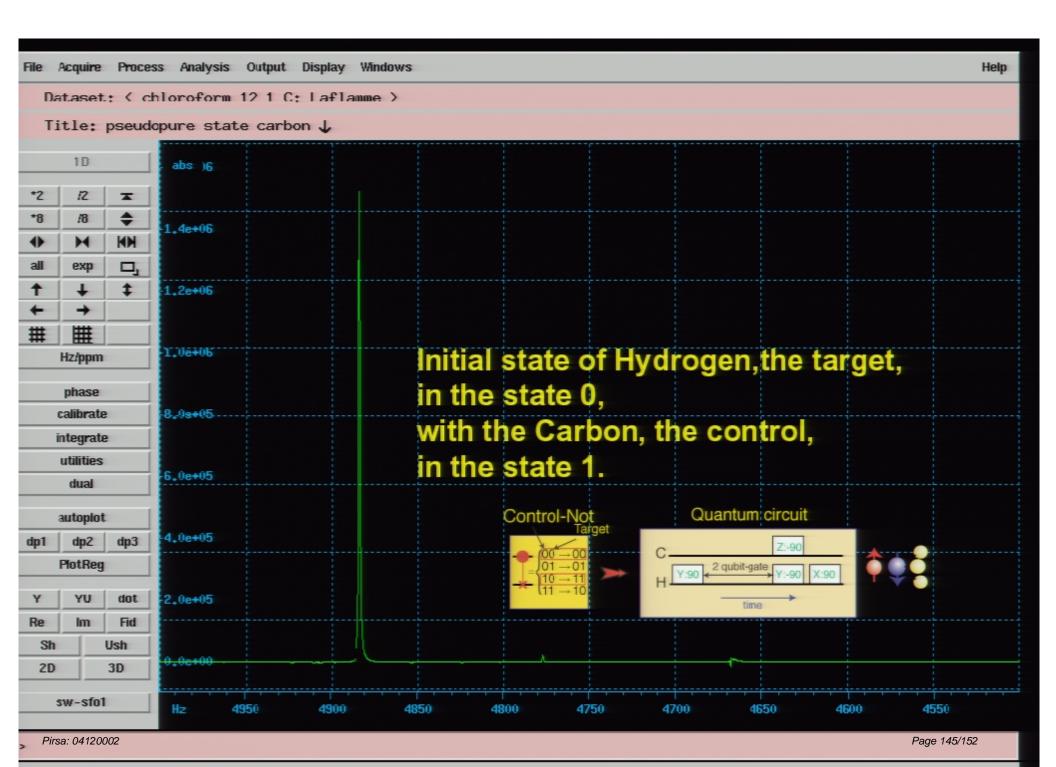


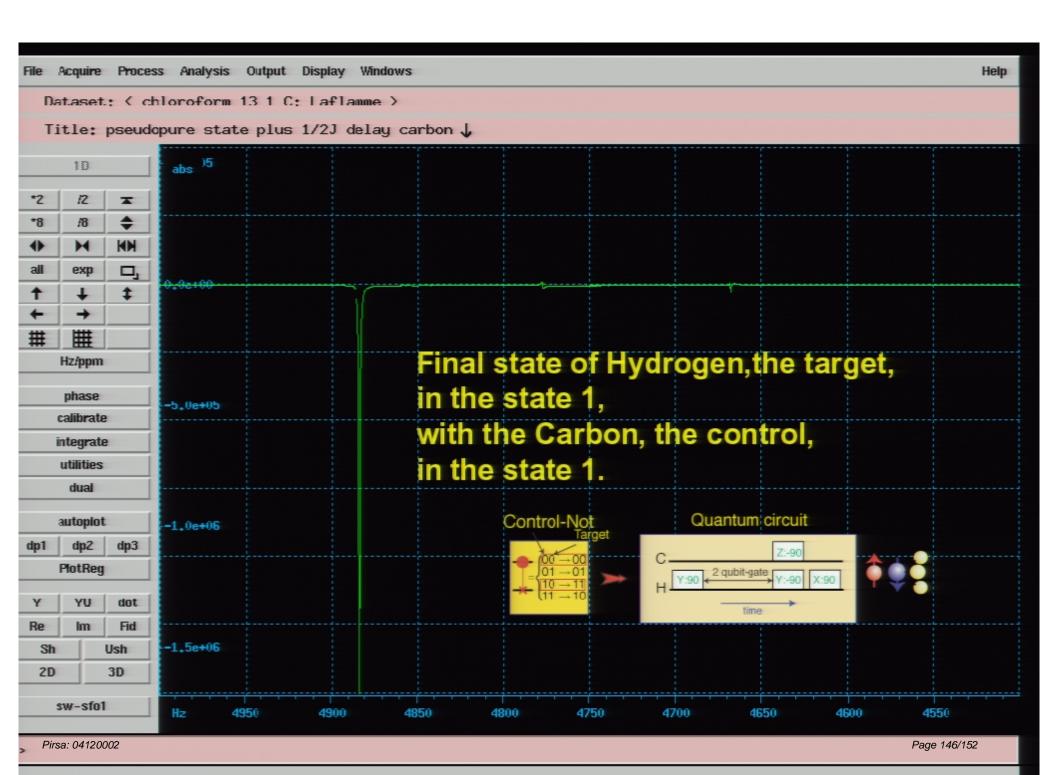


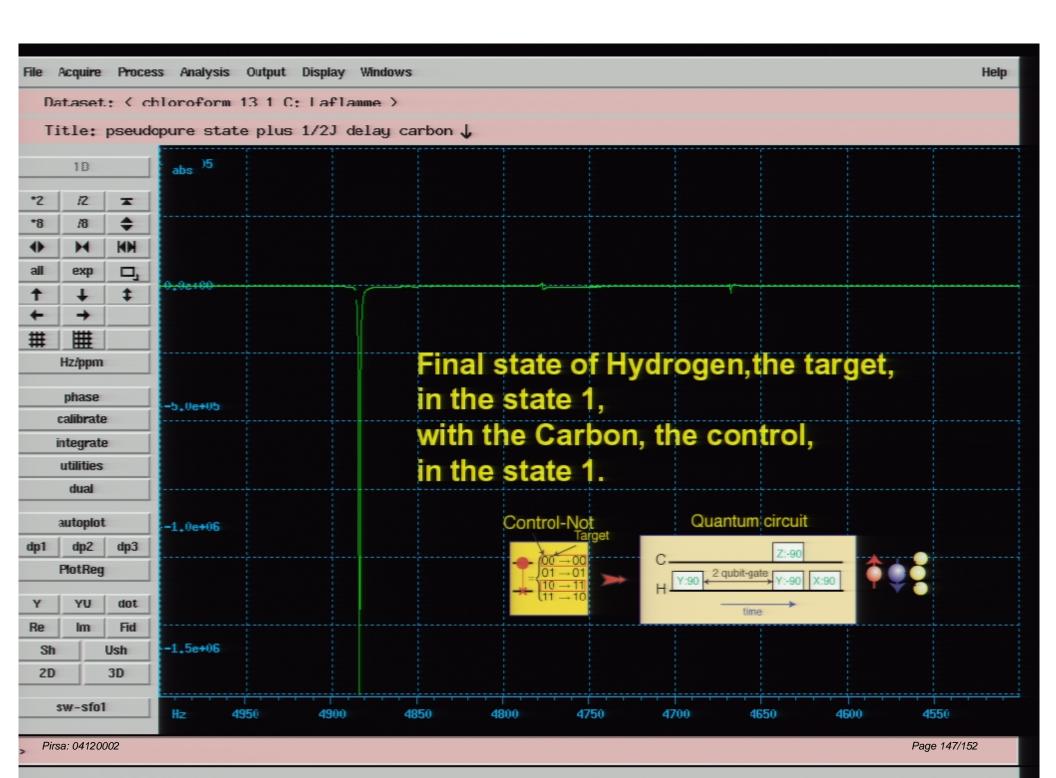




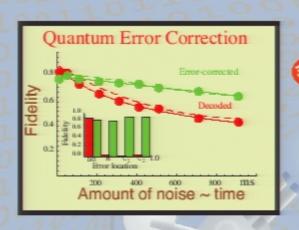


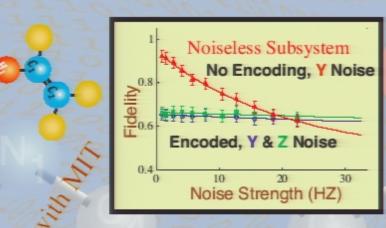




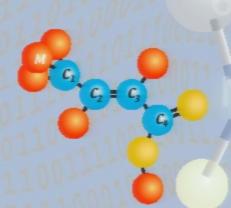


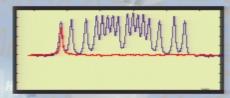
Expt. on small QIP:

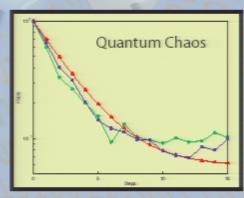


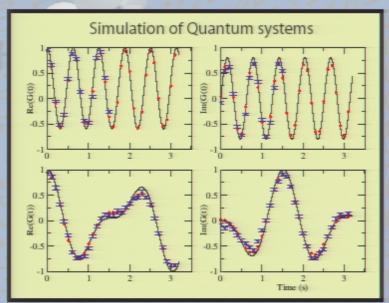












Pirsa: 04120002

Page 148/152

Controlling forces of nature:



Pirsa: 04120002 Page 149/152

Conclusion



- Many of today's technologies are going towards the quantum scale.
- Quantum information take this decrease as an advantage instead of an impediment, it allows to tackle tasks impossible for its classical counterpart.
- Quantum information is the most developed of the potential quantum technologies but other ones will also be created.
- The Institute for Quantum Computing at the University of Waterloo and Perimeter Institute are poised to take advantage of this incredible opportunity.





Sponsors of IQC Institute for Quantum Computing



















Canada Foundation for Innovation Fondation canadienne pour l'innovation



Canada Research Chairs Chaires de recherche du Canada



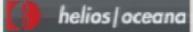
Communications Security Establishment

Centre de la sécurité des télécommunications











Copyright 2002 Silicon Graphics, Inc. Used by permission. All rights reserved.







Thanks to:





Pirsa: 04120002 Page 152/152